

LATTICE FIELD THEORY RESULTS ON NEW STRONG DYNAMICS

Enrico Rinaldi

NEW STRONG DYNAMICS

Composite Higgs

Composite Dark Matter

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Composite Dark Matter

New $SU(\mathbf{N}_c)$ gauge sector with \mathbf{N}_f fermions in the \mathbf{N}_r representation of the gauge group

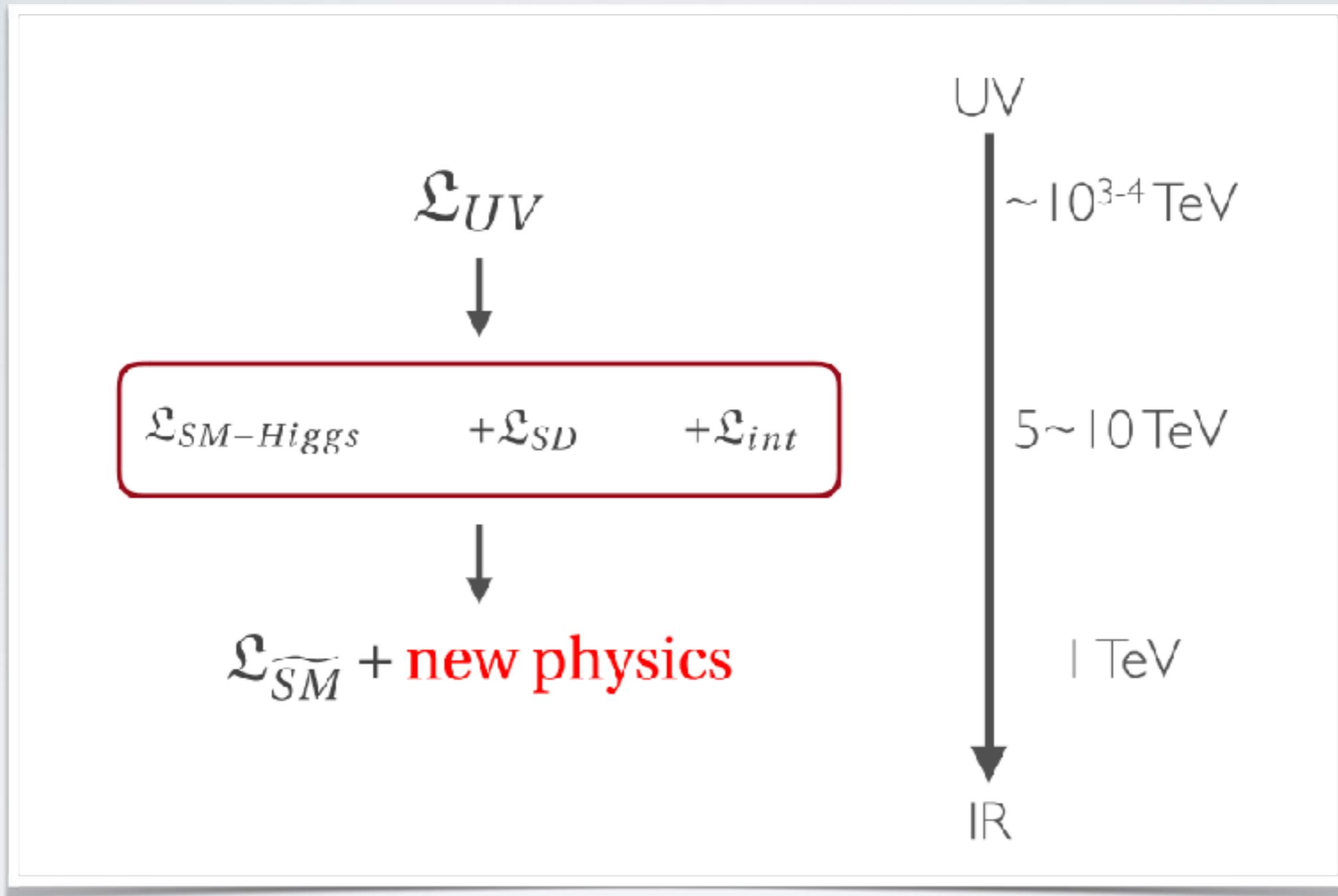
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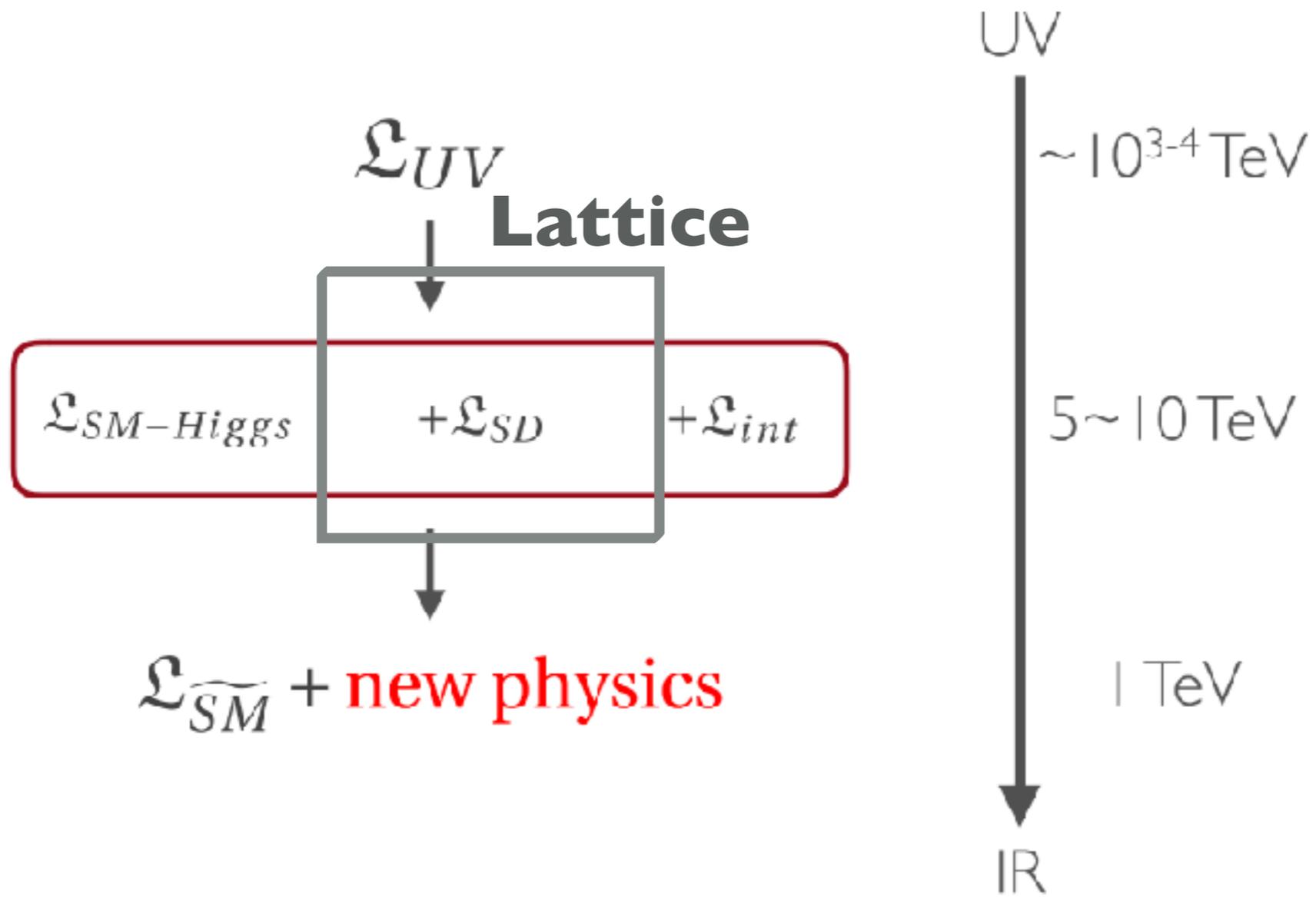
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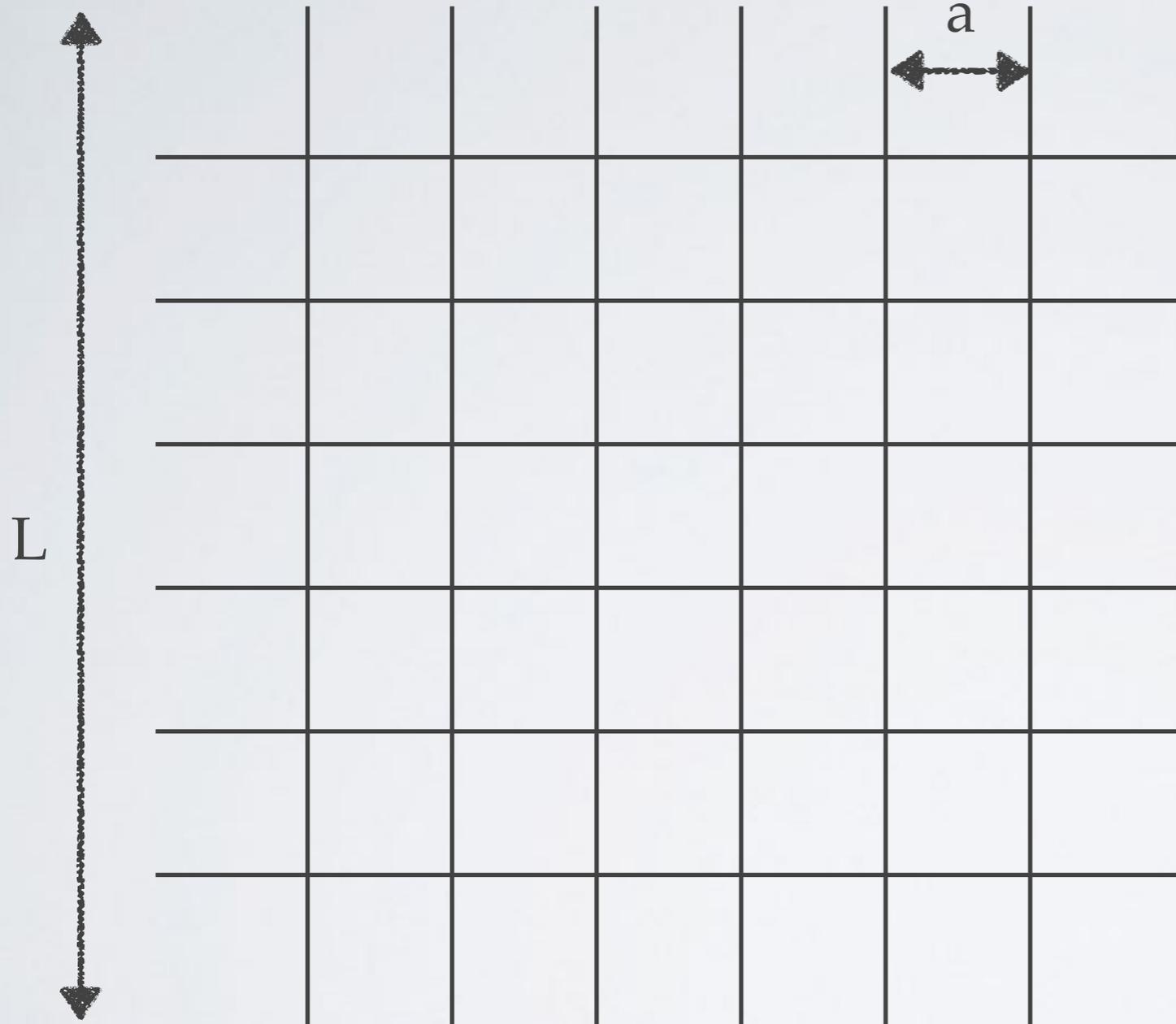
New $SU(\mathbf{N}_c)$ gauge sector with \mathbf{N}_f fermions in the \mathbf{N}_r representation of the gauge group

Most of the theory work is done using EFTs and there are only a handful of UV complete models



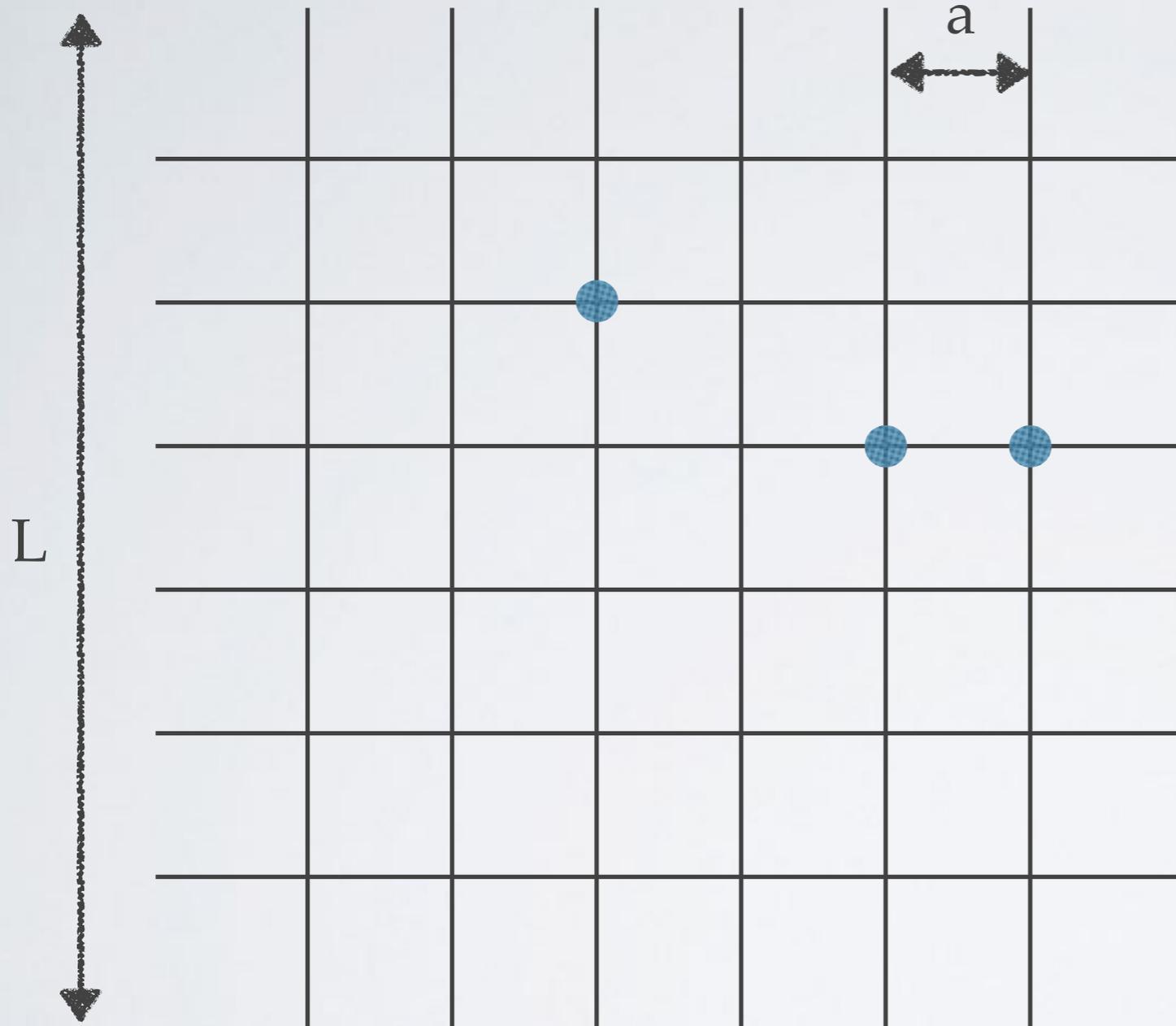


Lattice primer



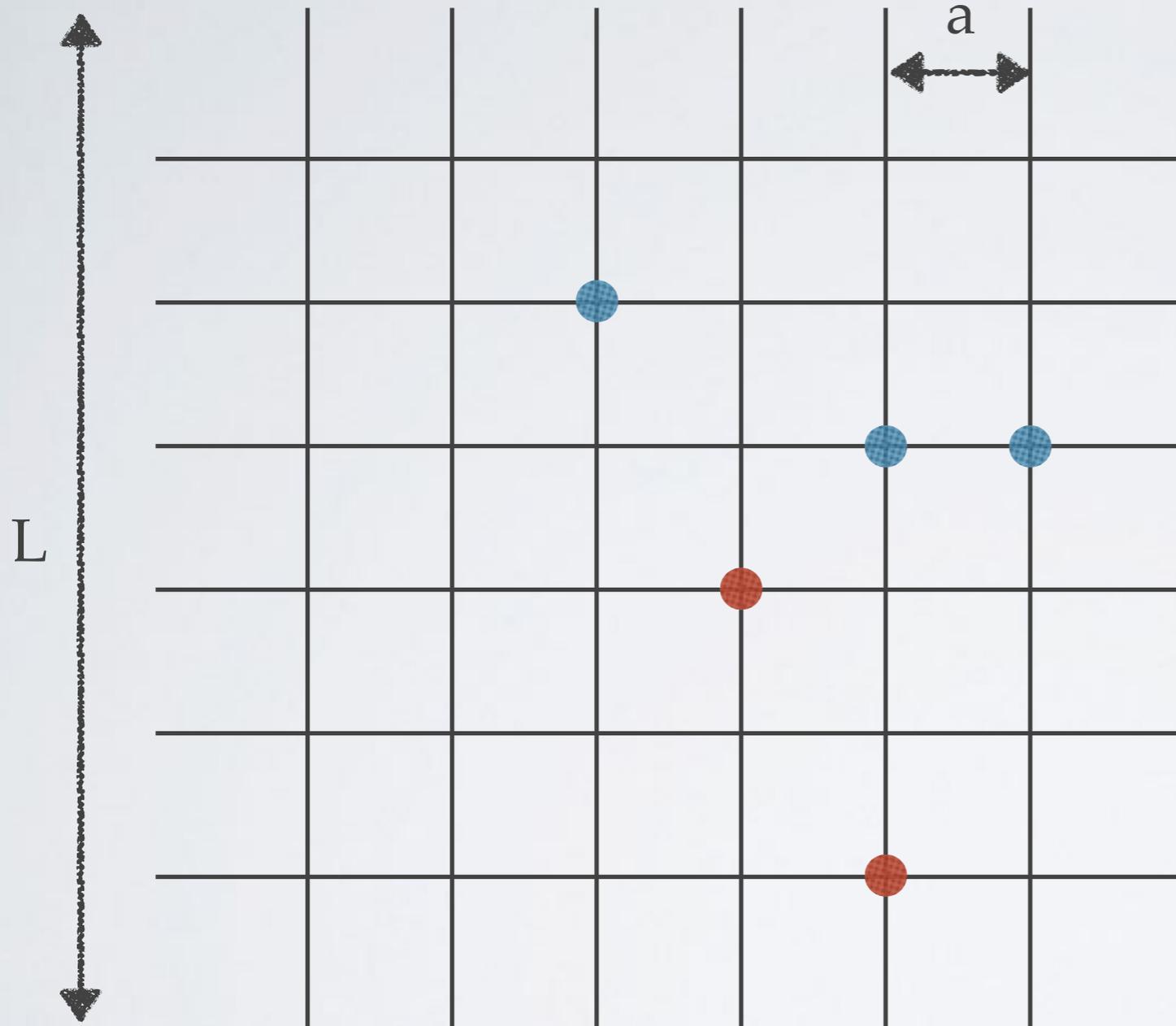
- Discretize space and time
 - lattice spacing “ a ”
 - lattice size “ L ”
- Keep all d.o.f. of the theory
 - not a model!
 - no simplifications
- Amenable to numerical methods
 - Monte Carlo sampling
 - use supercomputers
- Precisely quantifiable and improvable errors
 - Systematic
 - Statistical

Lattice primer



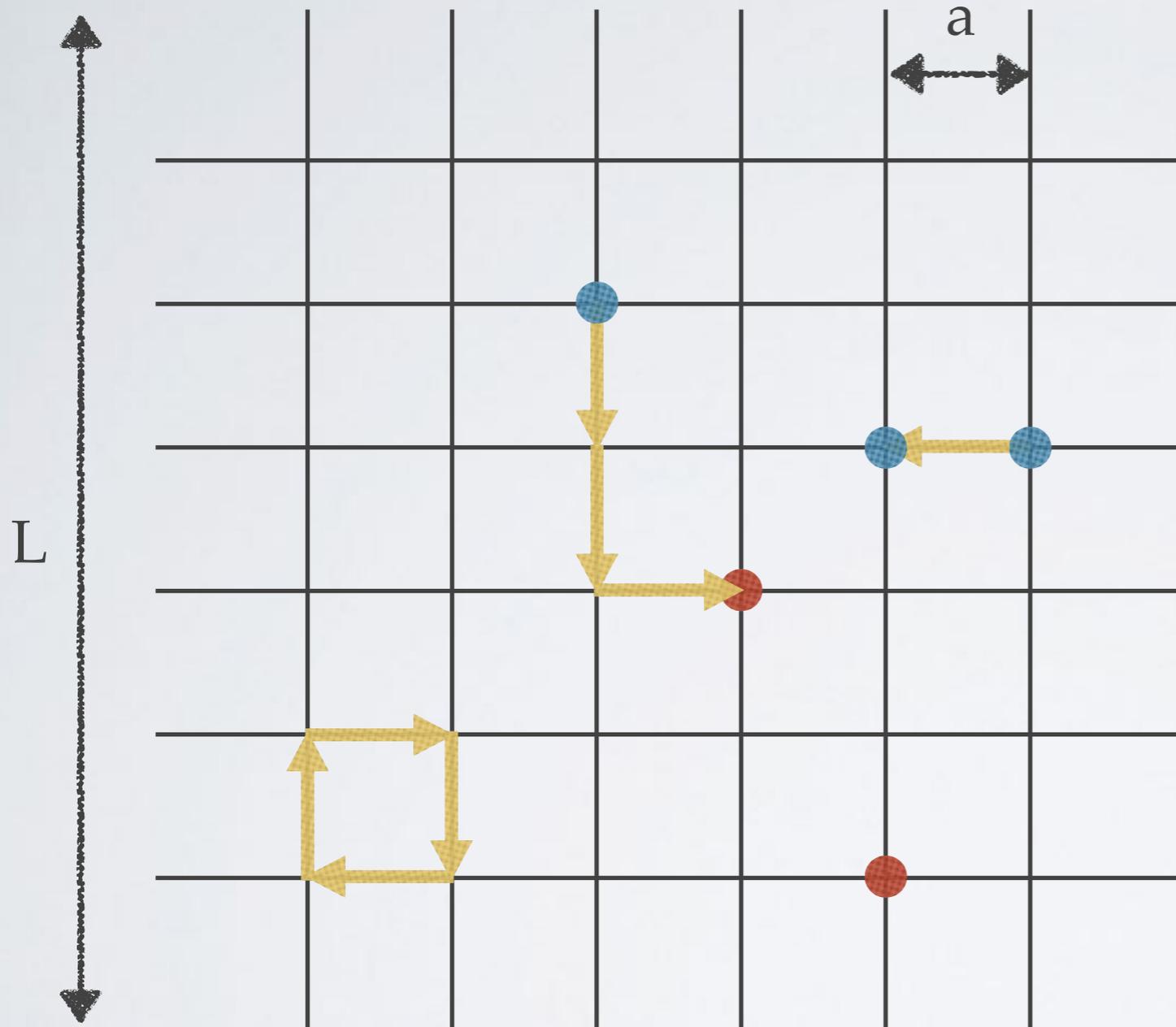
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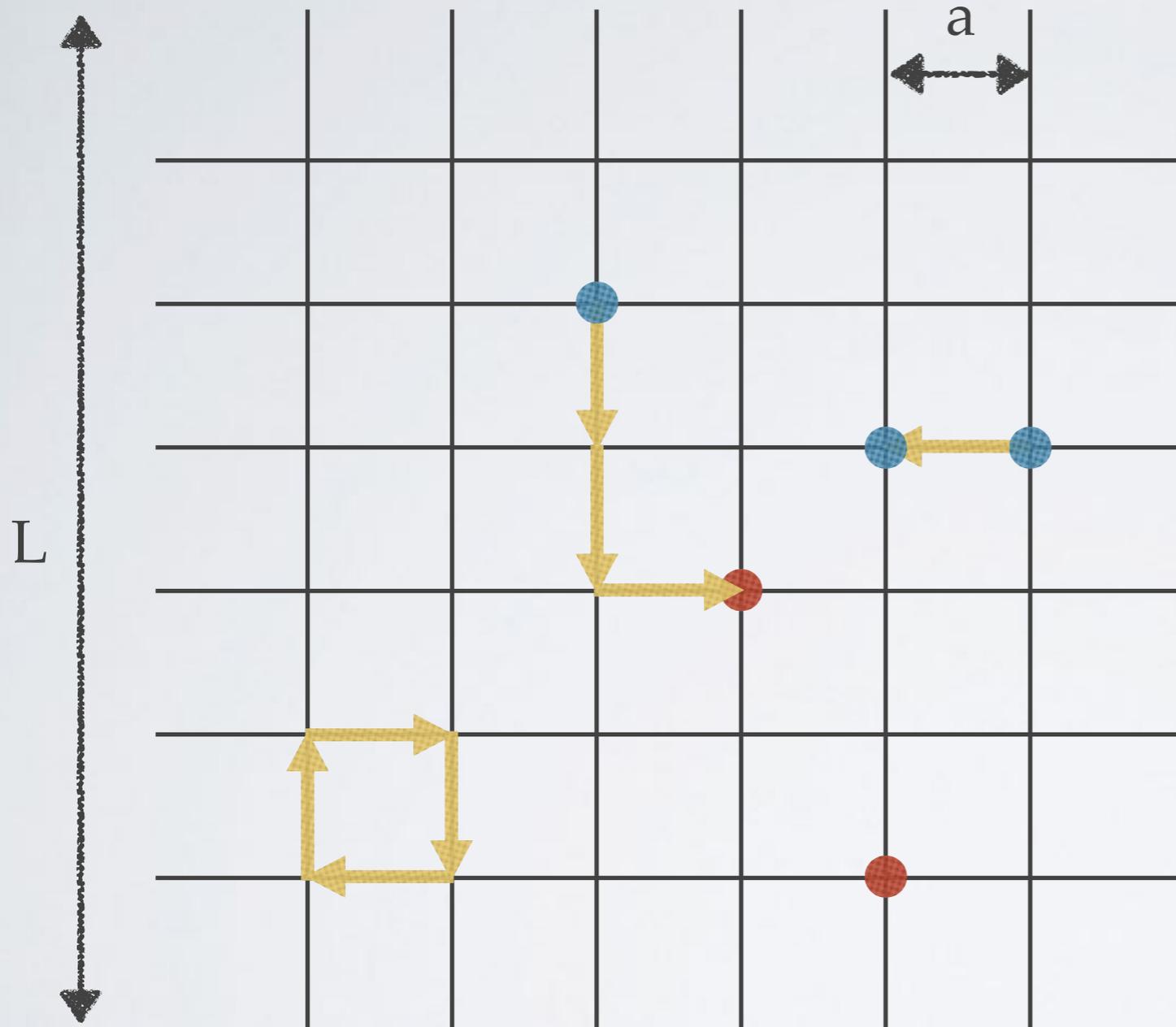
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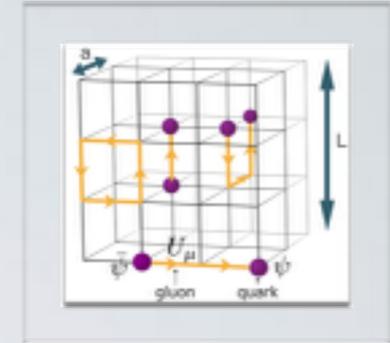
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N_c **N_f** **N_r** parameters that can be easily changed

Importance of lattice simulations



- ★ Lattice simulations are needed to numerically solve strong dynamics
- ★ **Controllable** systematic errors and room for improvement
- ★ Naive dimensional analysis and EFT approaches can miss important non-perturbative contributions
- ★ **EFTs** inspired by QCD might not work when the dynamics is different
- ★ Lattice studies can reliably point out **similarities or differences** as the parameter space (N_c, N_f, N_r) is scanned

MOTIVATIONS

- Strongly interacting quantum field theory with different N_c , N_f , and N_r
 - is the dynamics different from QCD?
 - what is the hierarchy in the spectrum?
 - is there a light scalar singlet?
- Phenomenology of physics beyond the Standard Model
 - light Higgs from composite dynamics (pNGB or dilatonic nature)
 - large anomalous dimensions
 - expected (near-)conformal dynamics for consistency with experiments

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in QCD there is a broad resonance $f_0(500)$
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LATTICE RESULTS

- This talk: SU(3) gauge theory with 8 degenerate fundamental fermions
 - focus on hierarchy of masses towards the chiral limit
 - focus on **flavor-singlet states**
 - scalar 0^{++} (also called “the sigma”)
 - pseudoscalar 0^{-+} (also called “the eta prime”)
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Highlight differences and
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in collaboration with



Lattice **S**trong **D**ynamics collaboration

Argonne: Jin, Osborn

Bern: Schaich

Boston: Brower, Rebbi, Weinberg

Colorado: Hasenfratz, Neil

Edinburgh: Witzel

LLNL: Vranas

UC Davis: Kiskis

Yale: Appelquist, Fleming,
Gasbarro



Lat**KMI** collaboration

KEK: Aoki, Kurachi, Shibata

Kyoto: Aoyama

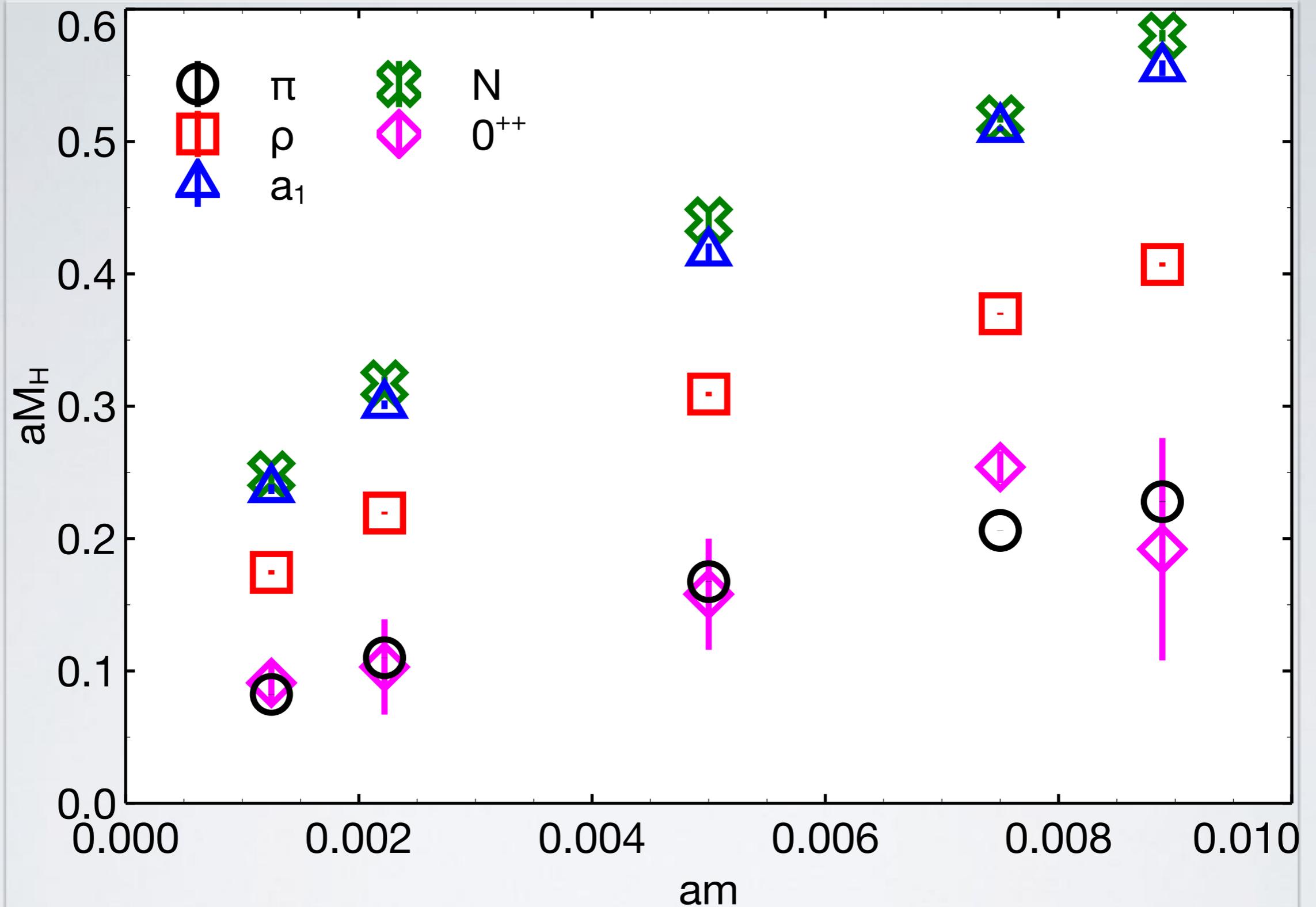
Nagoya: Maskawa, Yamawaki,
Nagai

Nara: Ohki

Marseille: Miura

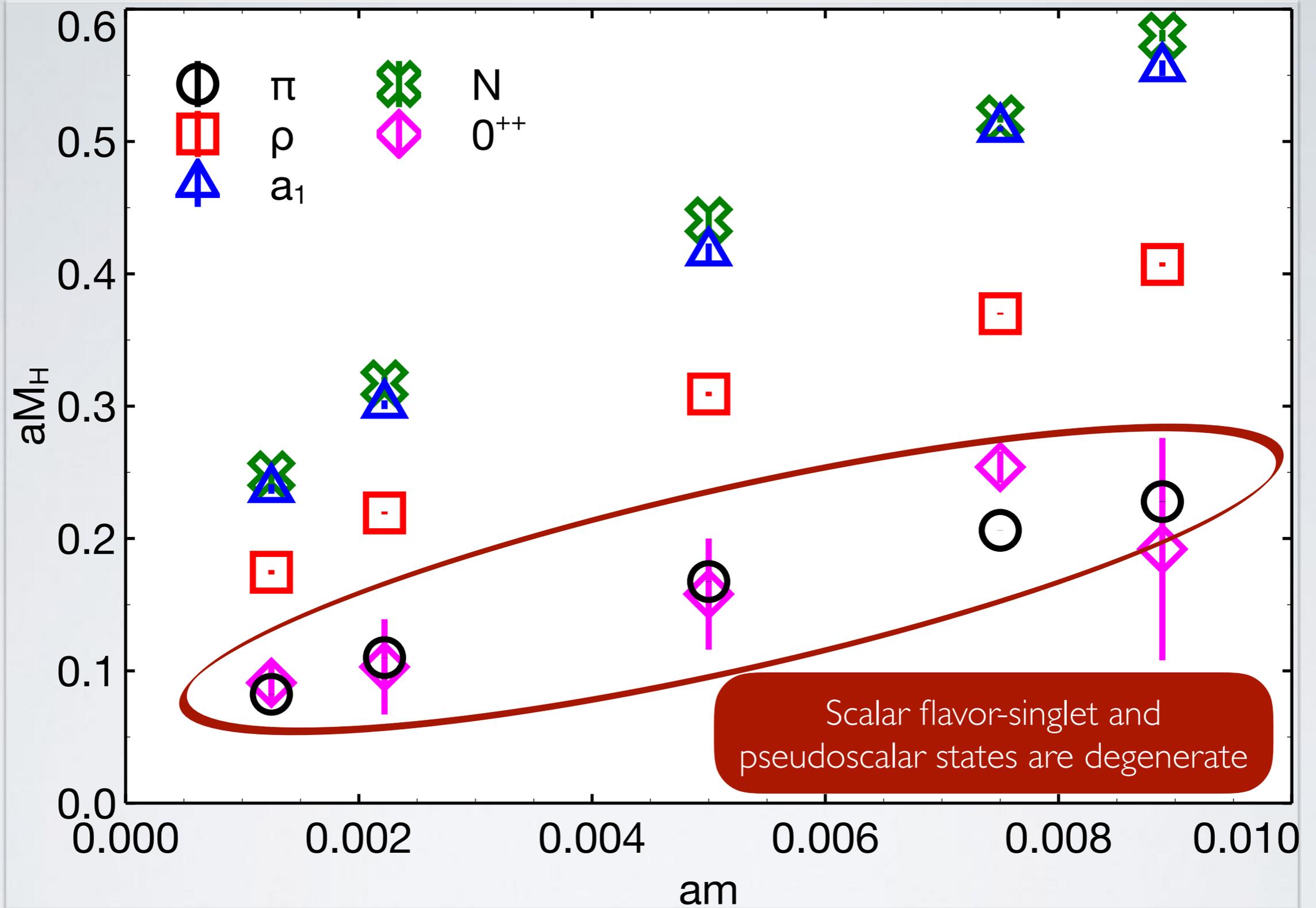
Swansea: Bennett

Tsukuba: Yamazaki



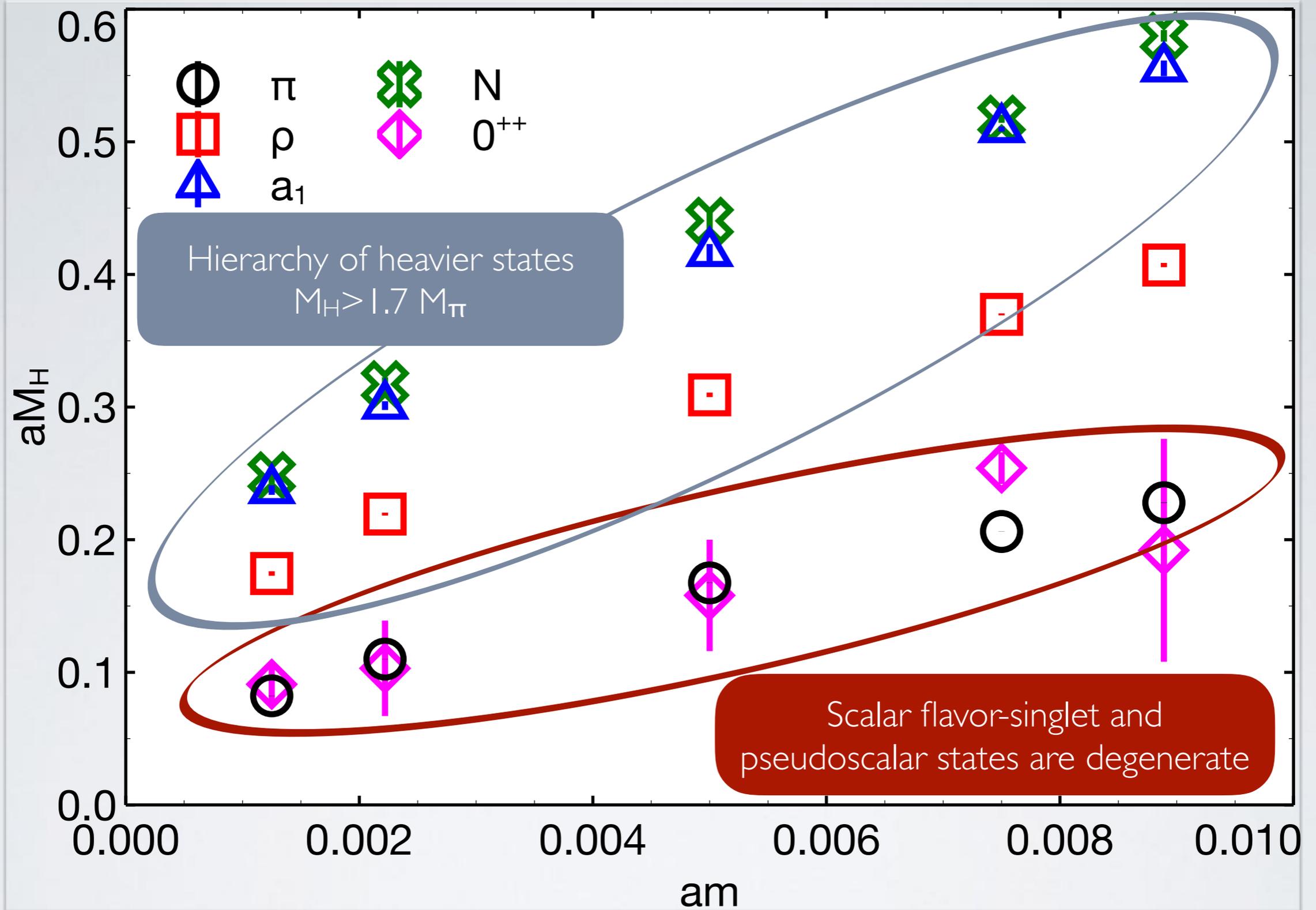
Lattice details: F+A Wilson plaquette action + nHYP smeared naive staggered quarks

LSD arxiv:1601.04027 [scalar update, preliminary]



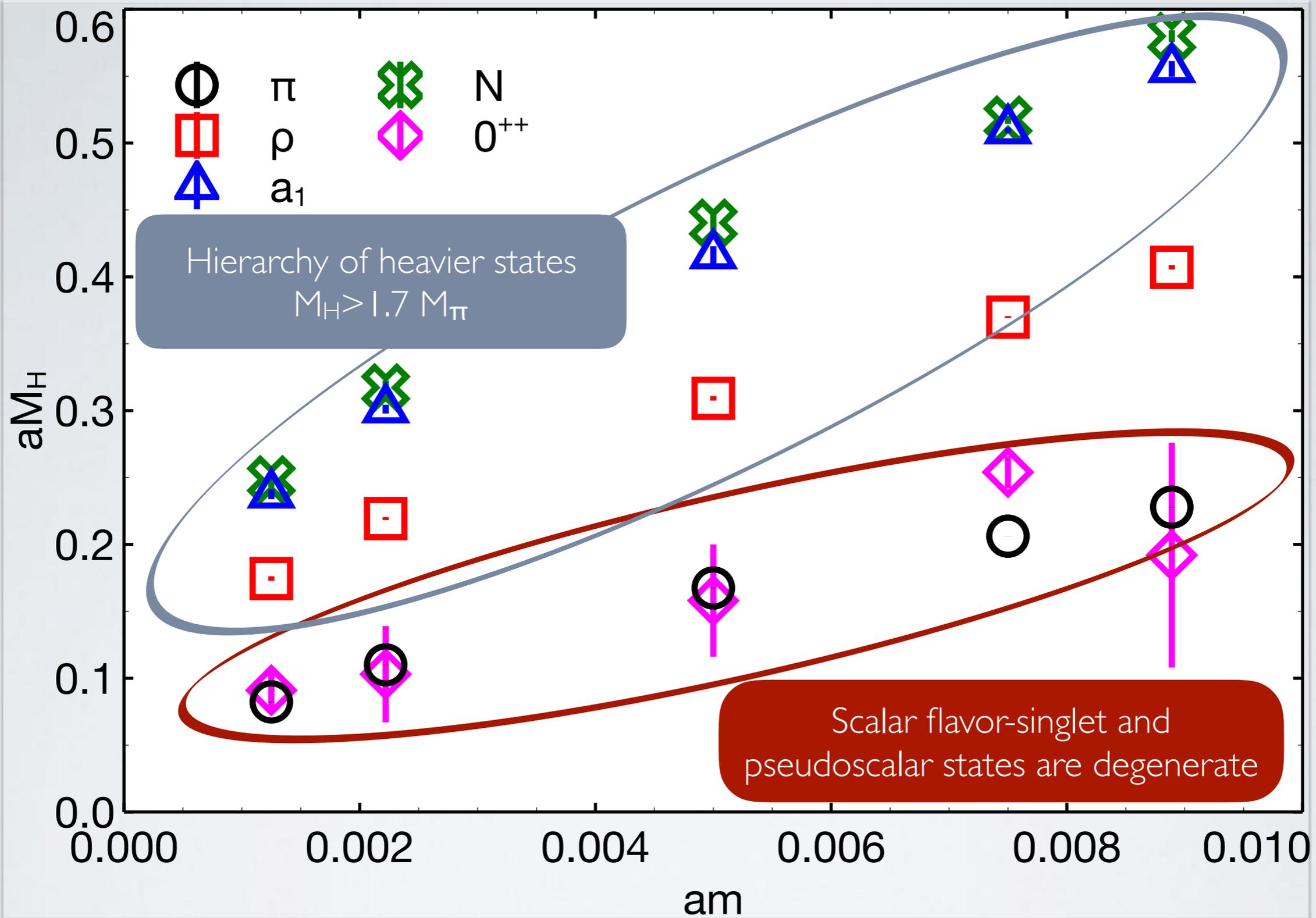
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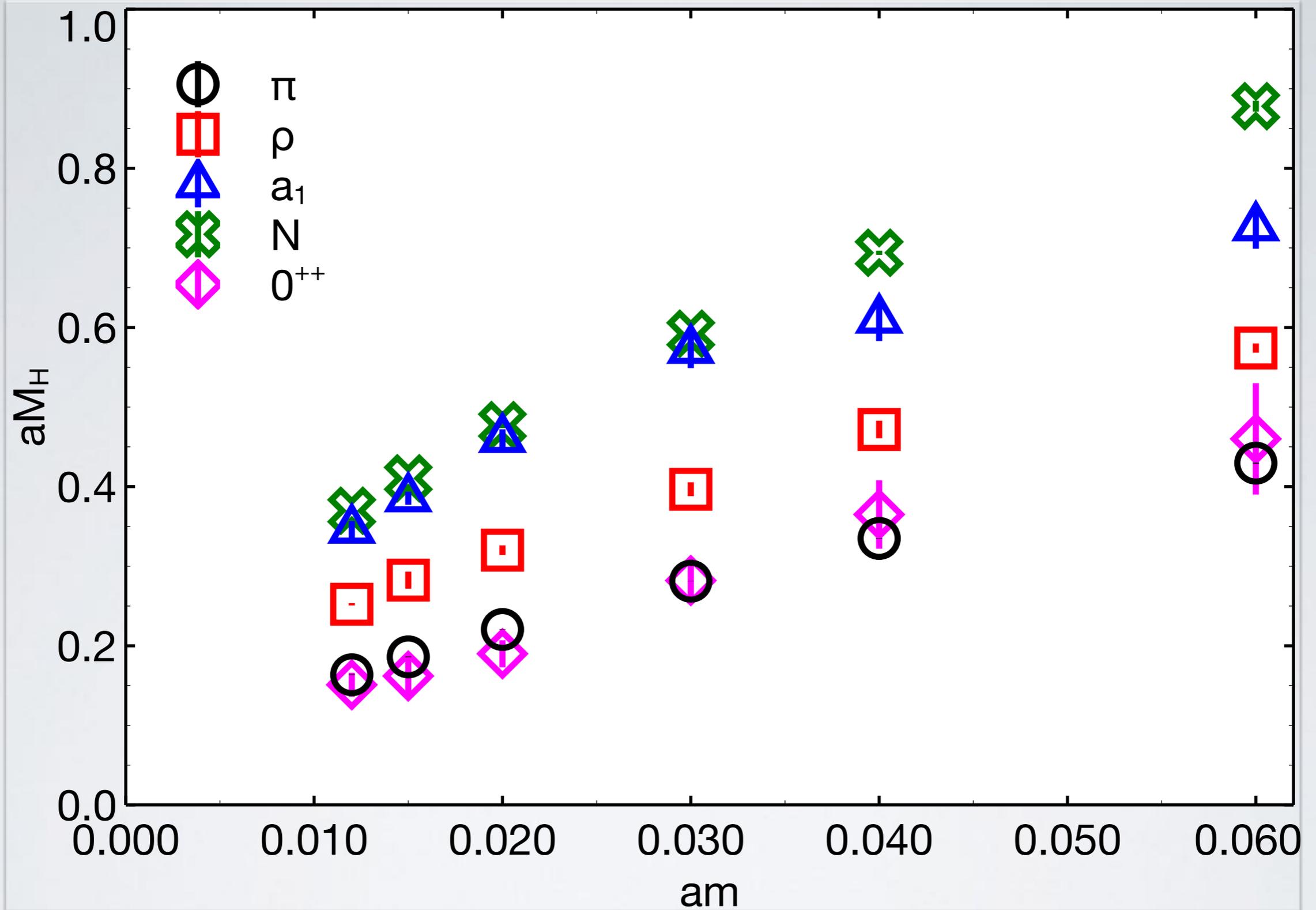
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Different from QCD

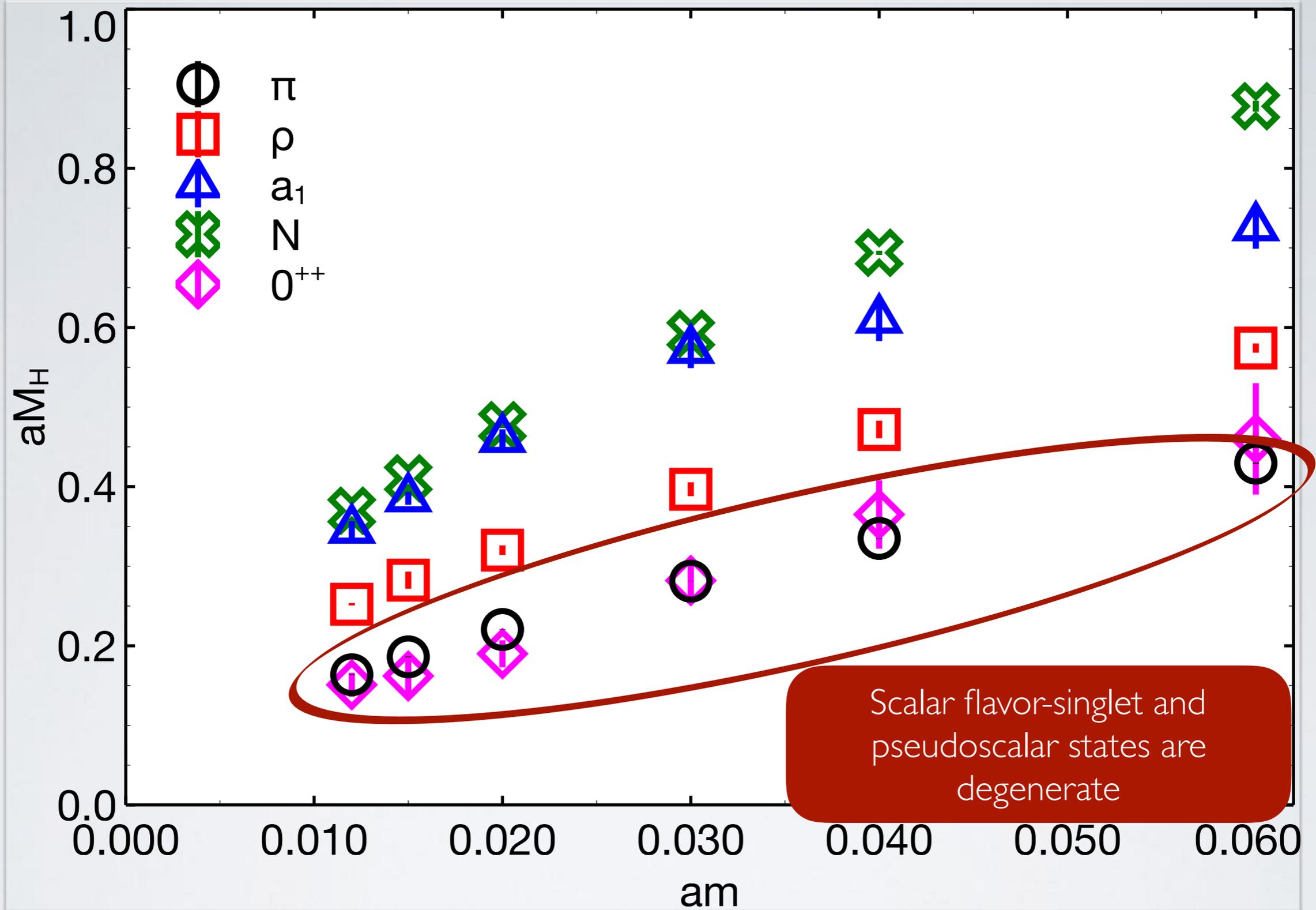
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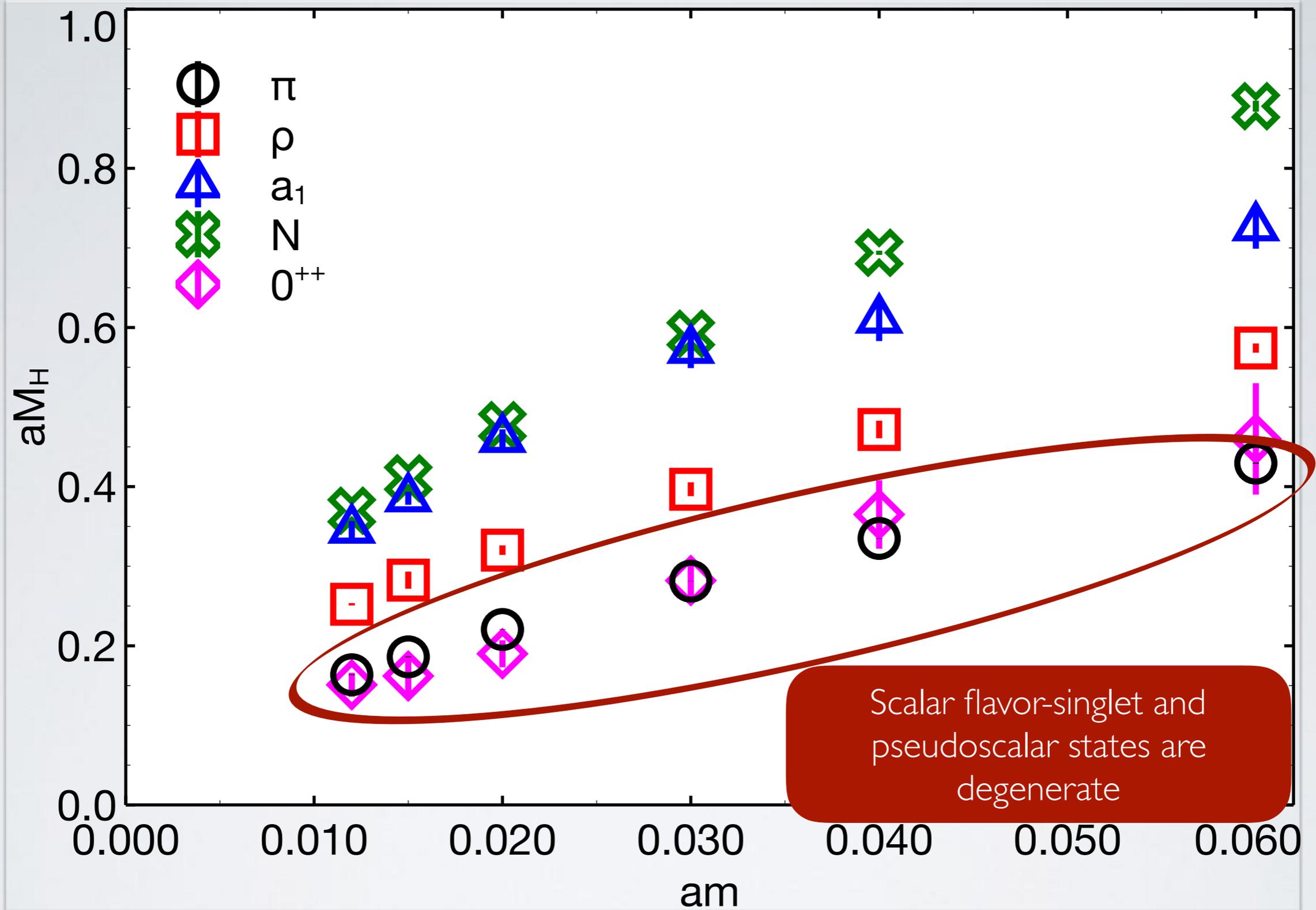
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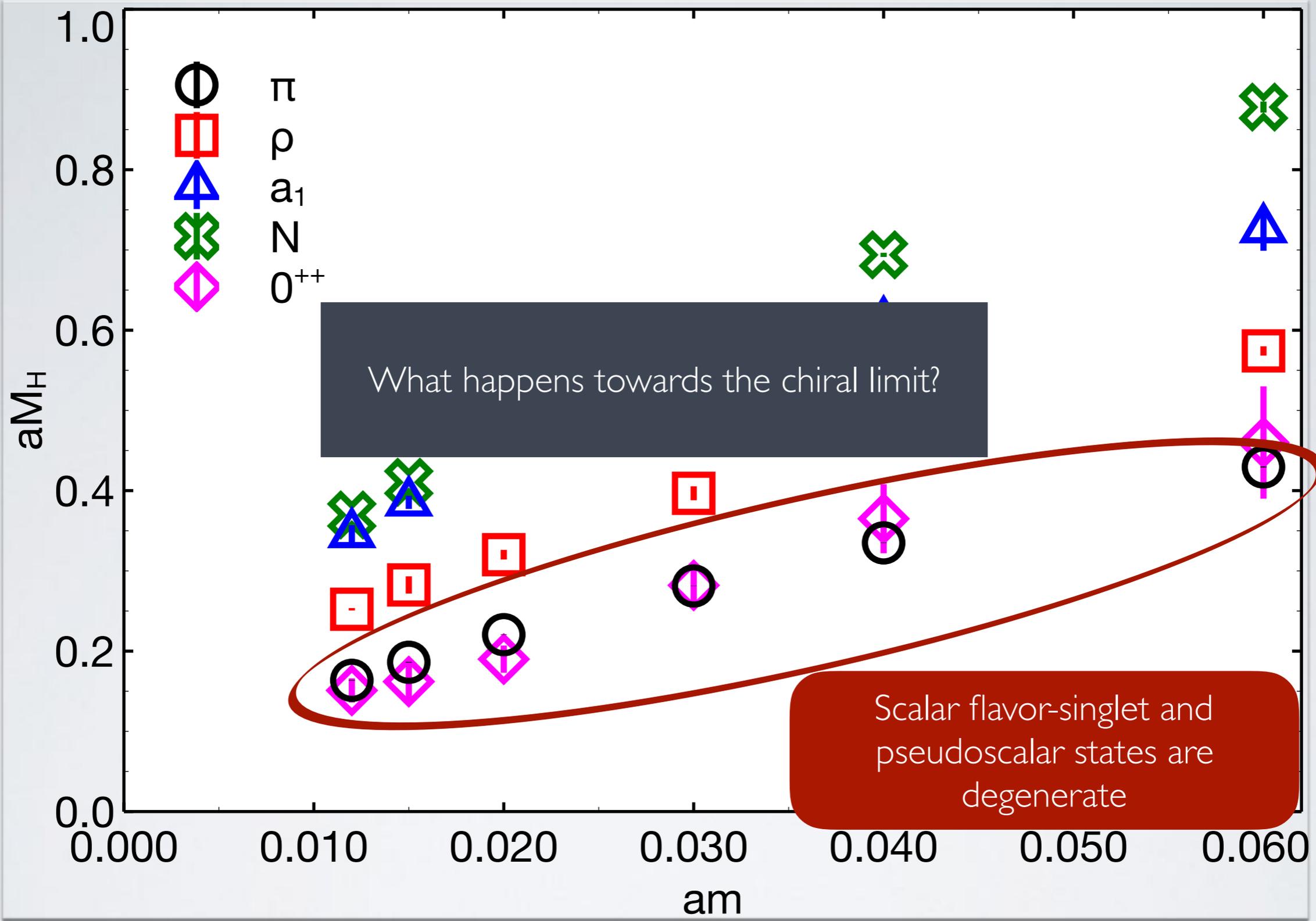
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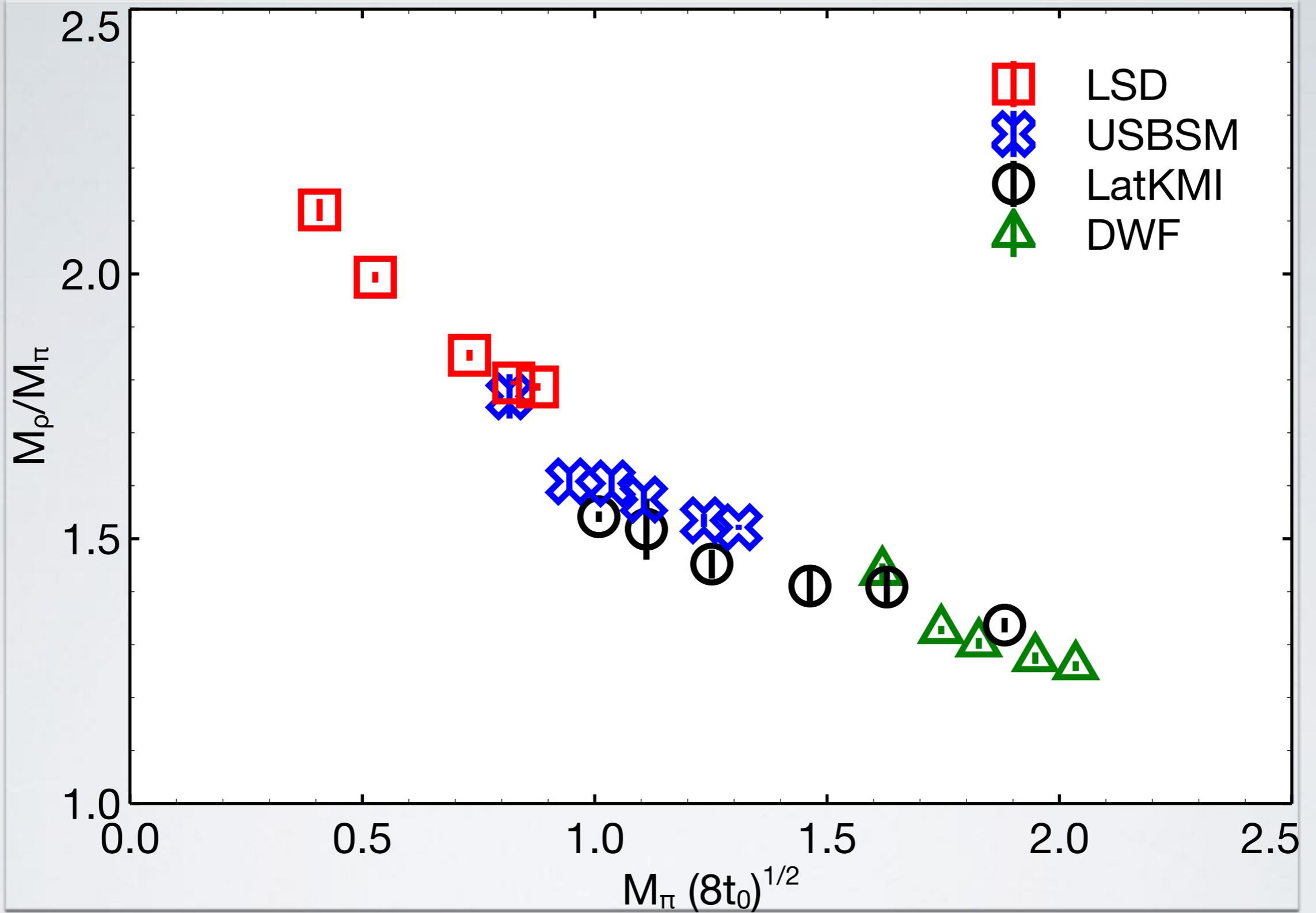
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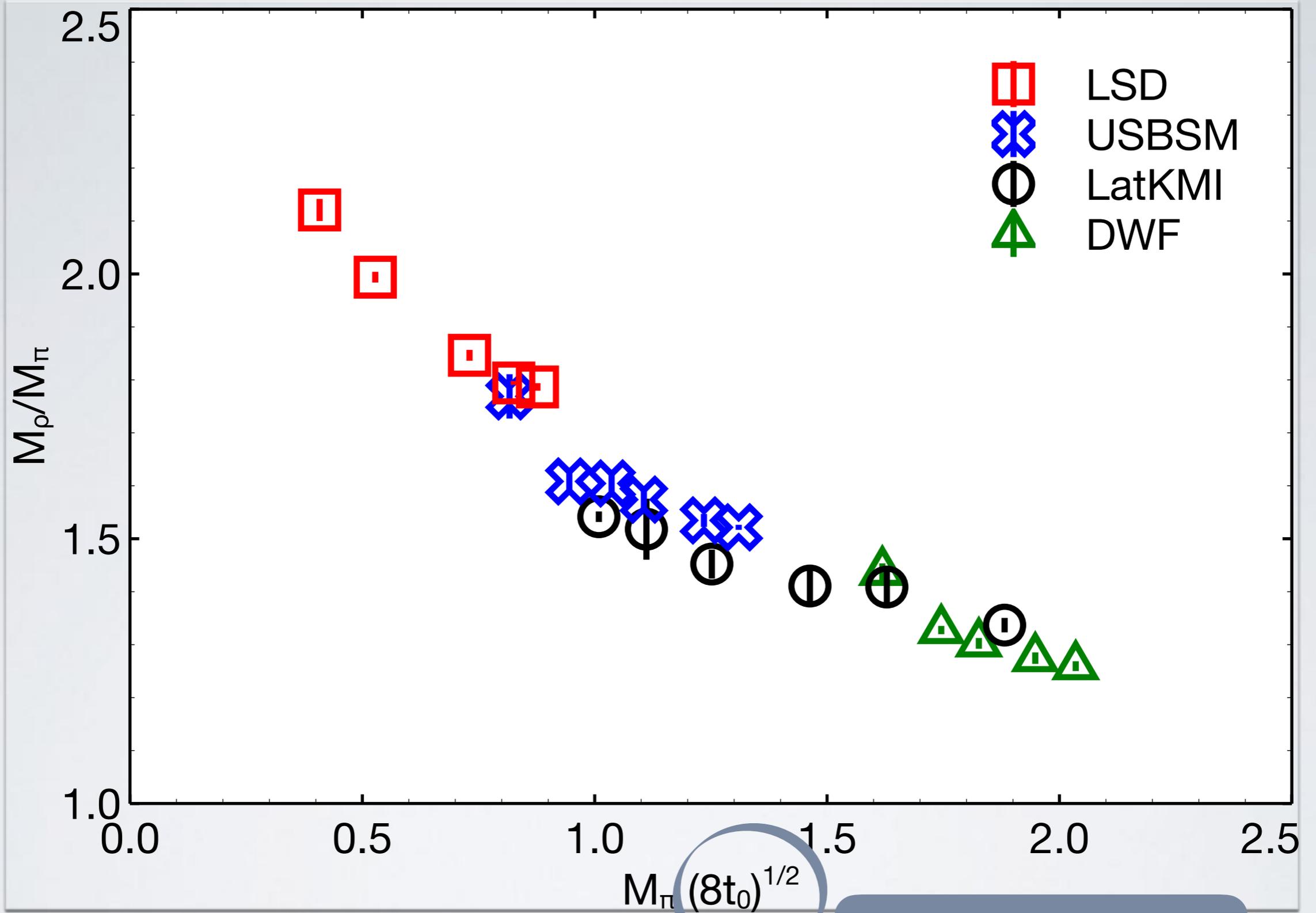


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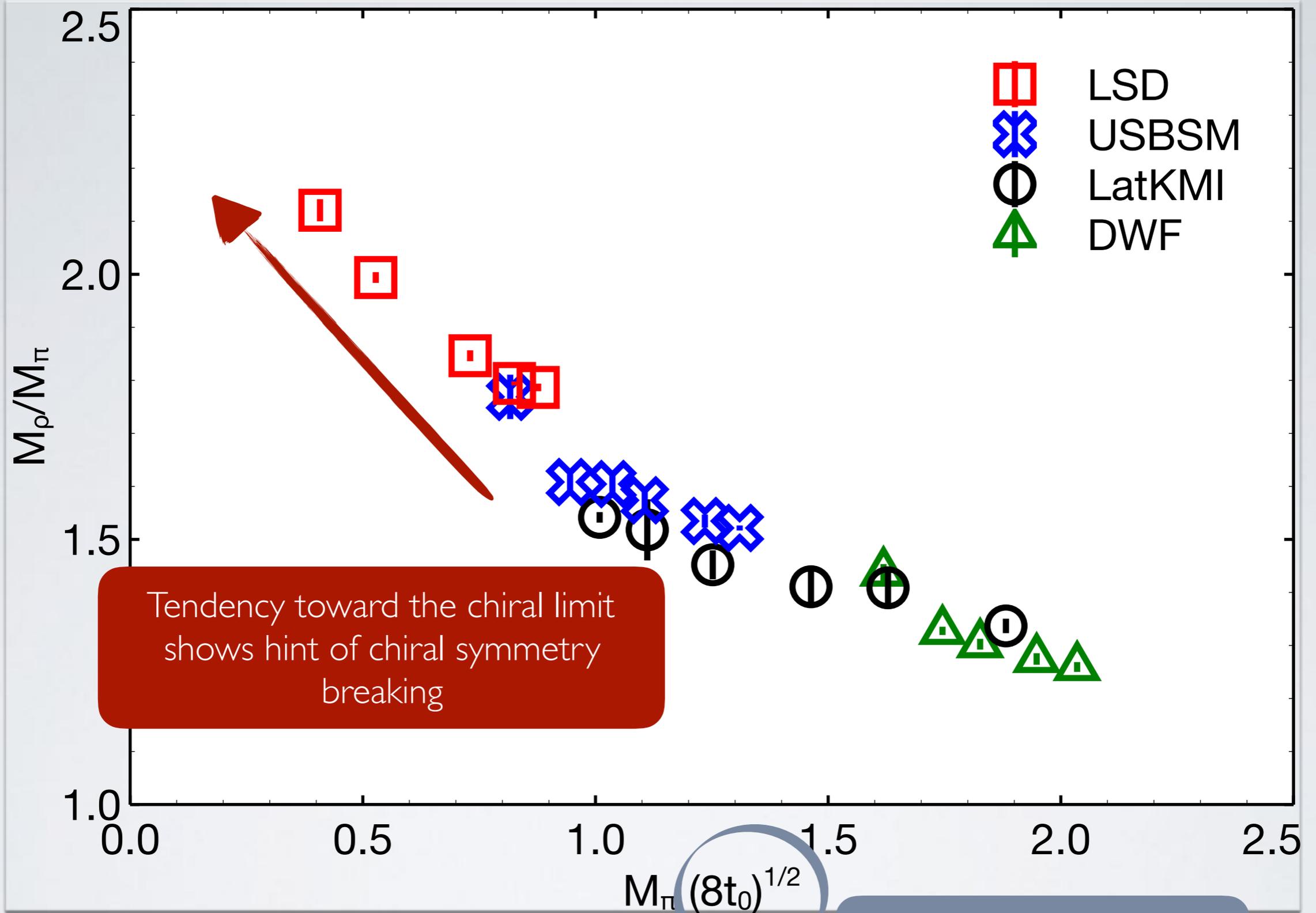
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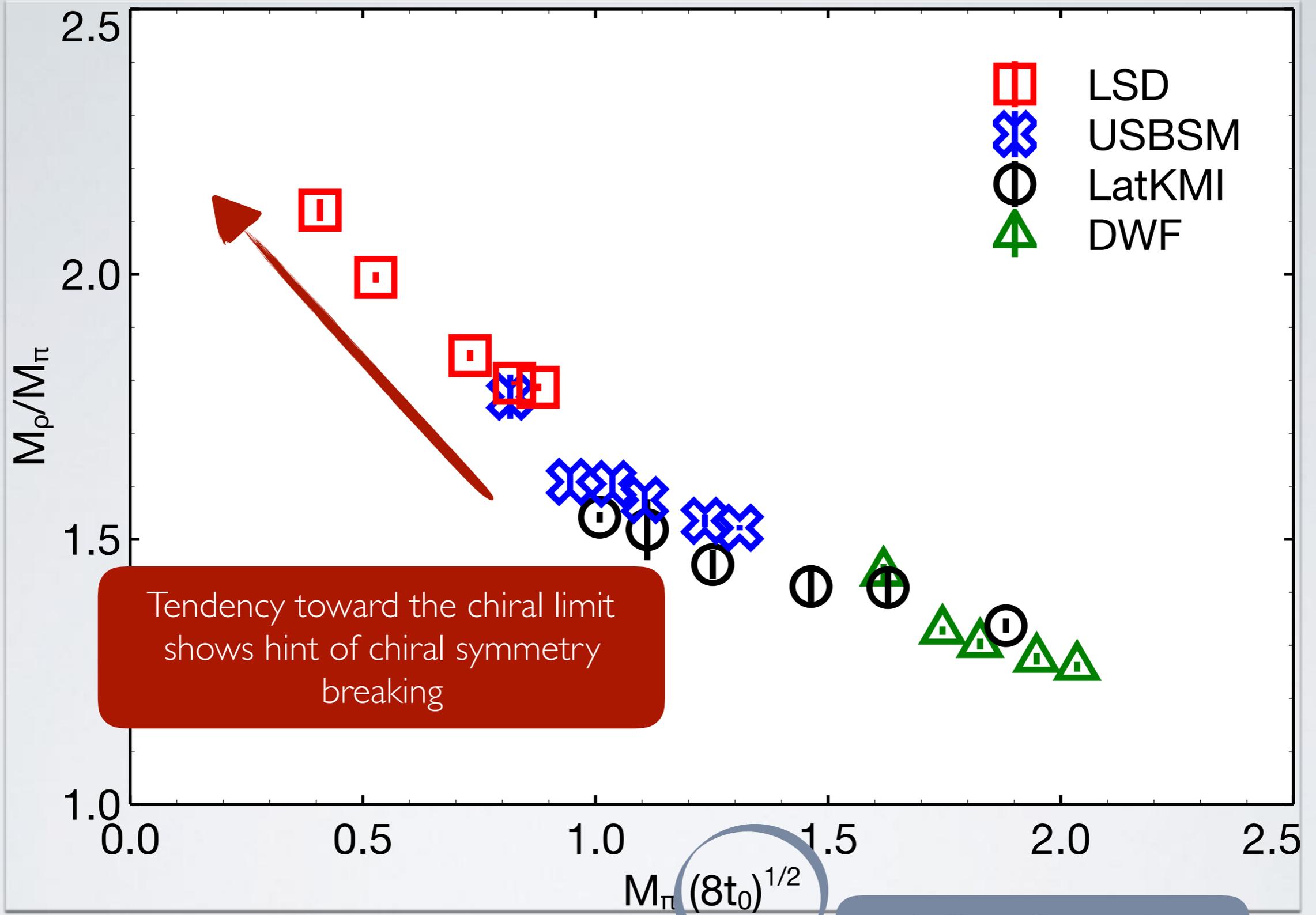
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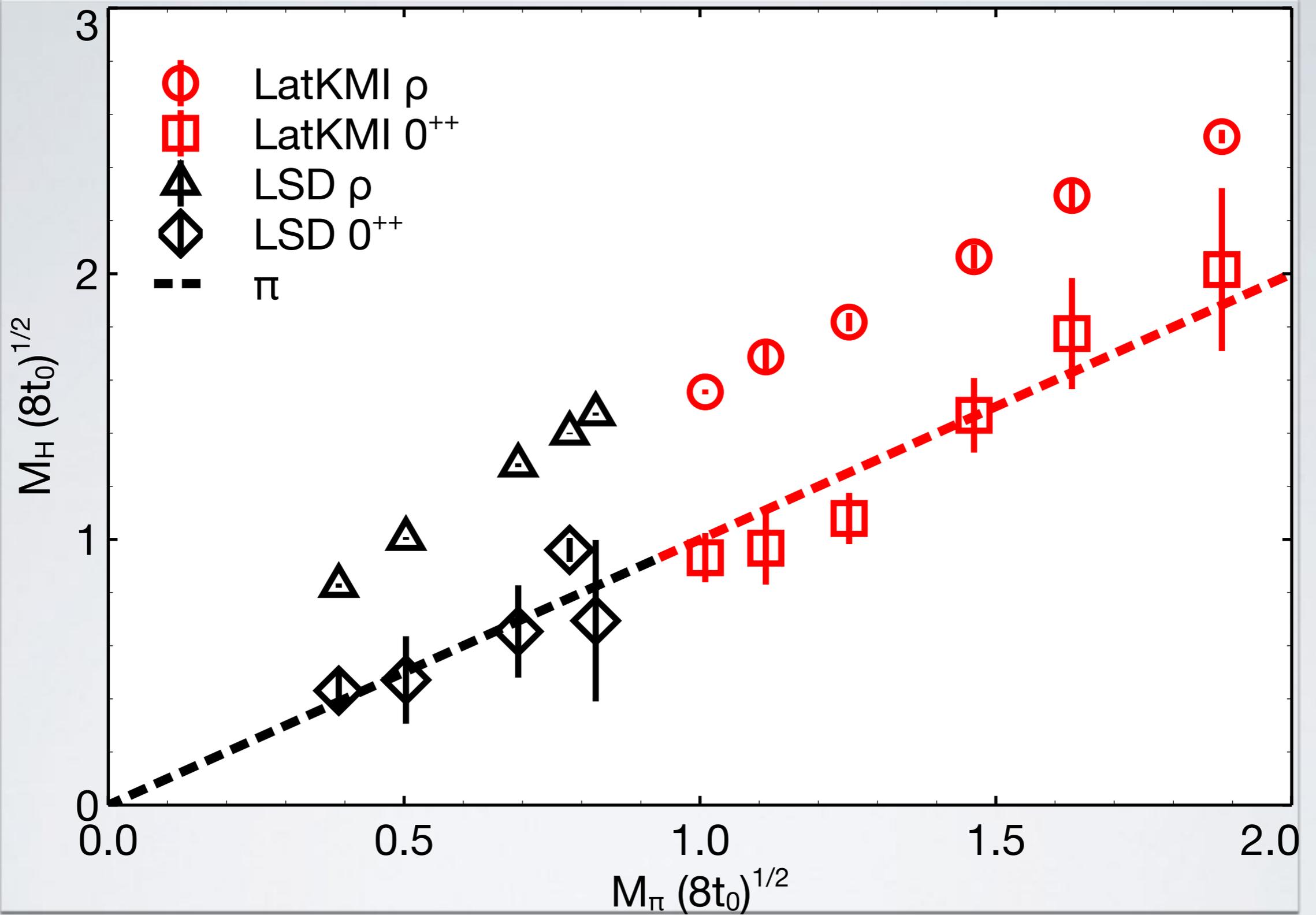


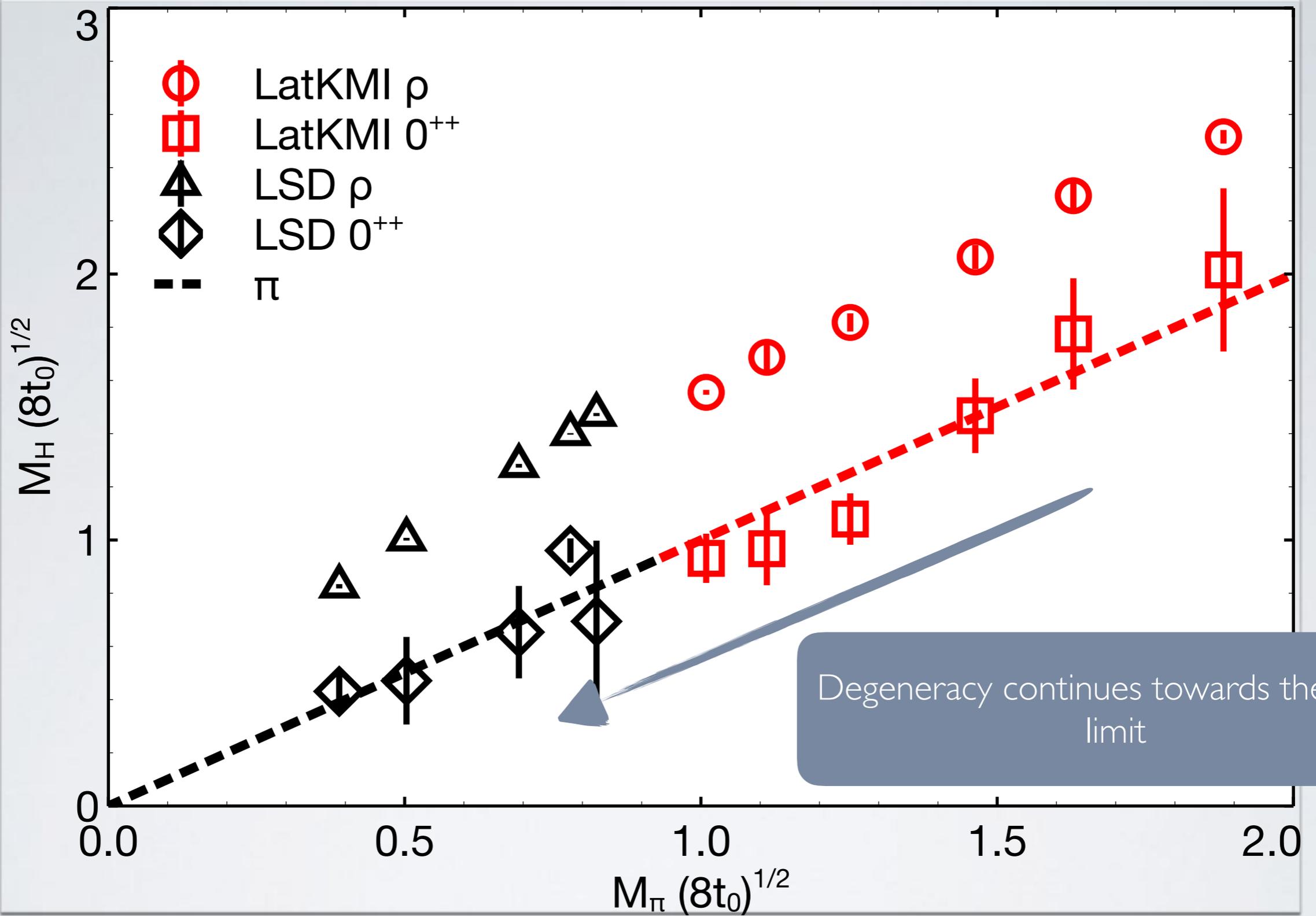
Wilson flow scale:
common reference

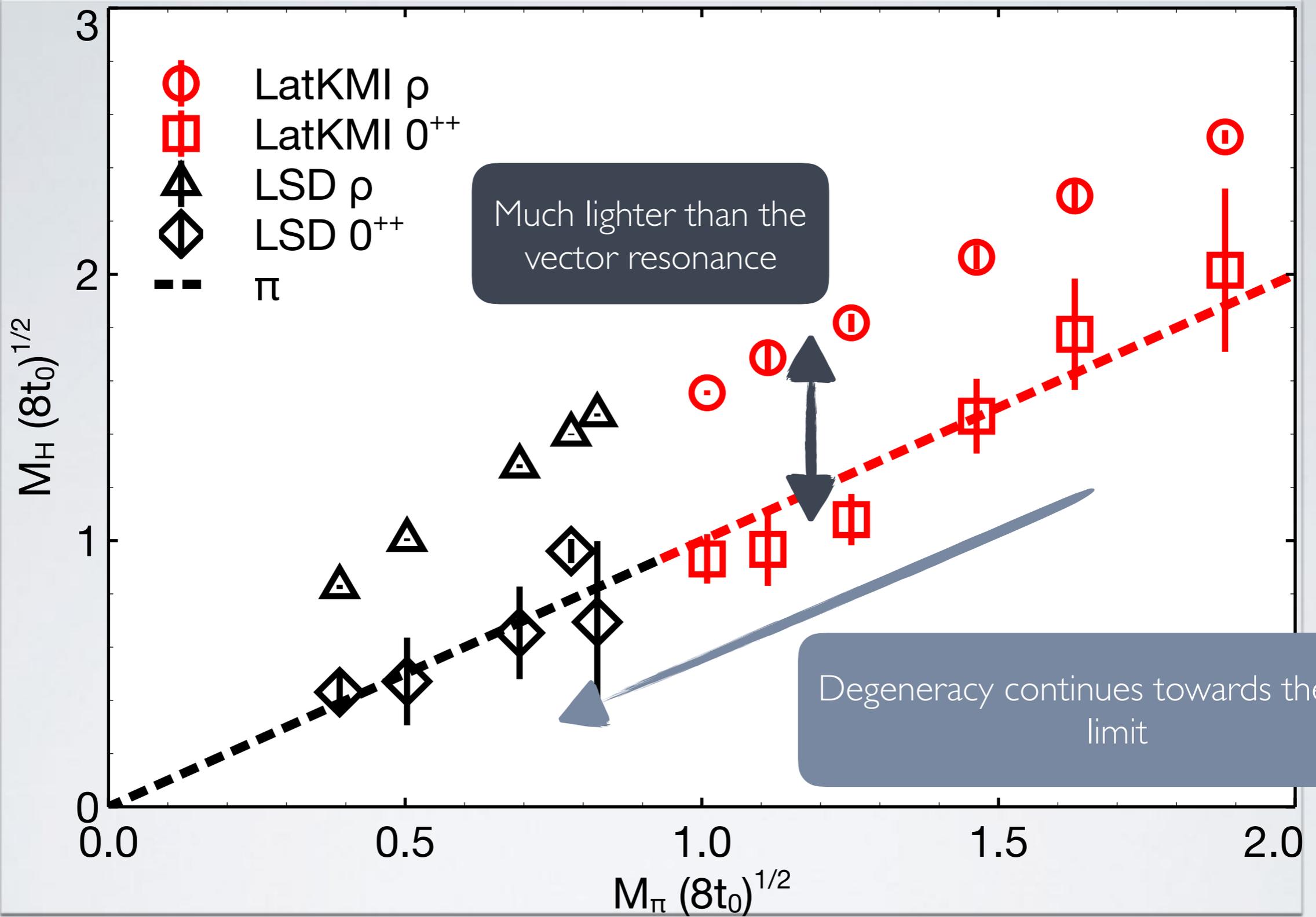


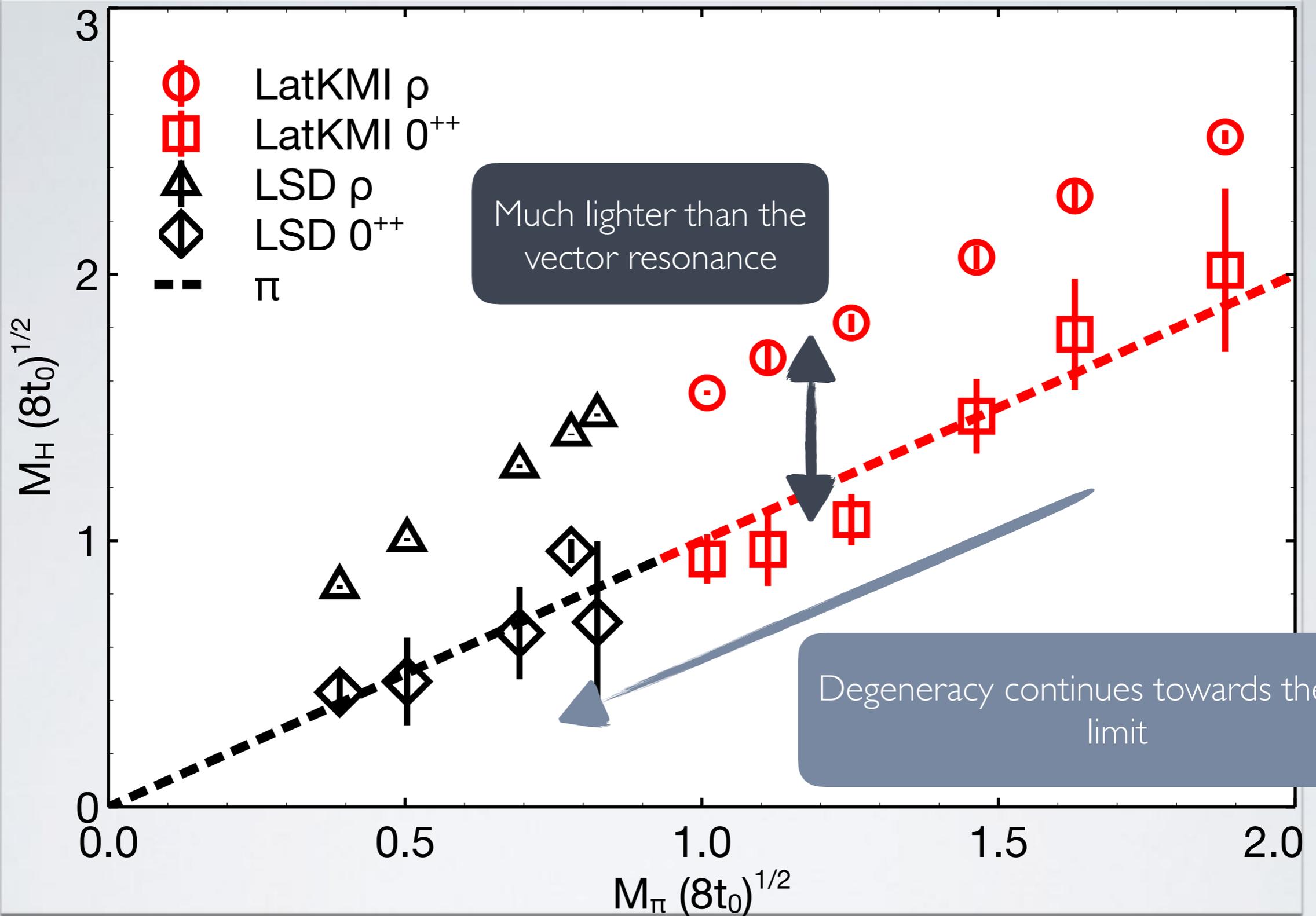


Similar to
QCD

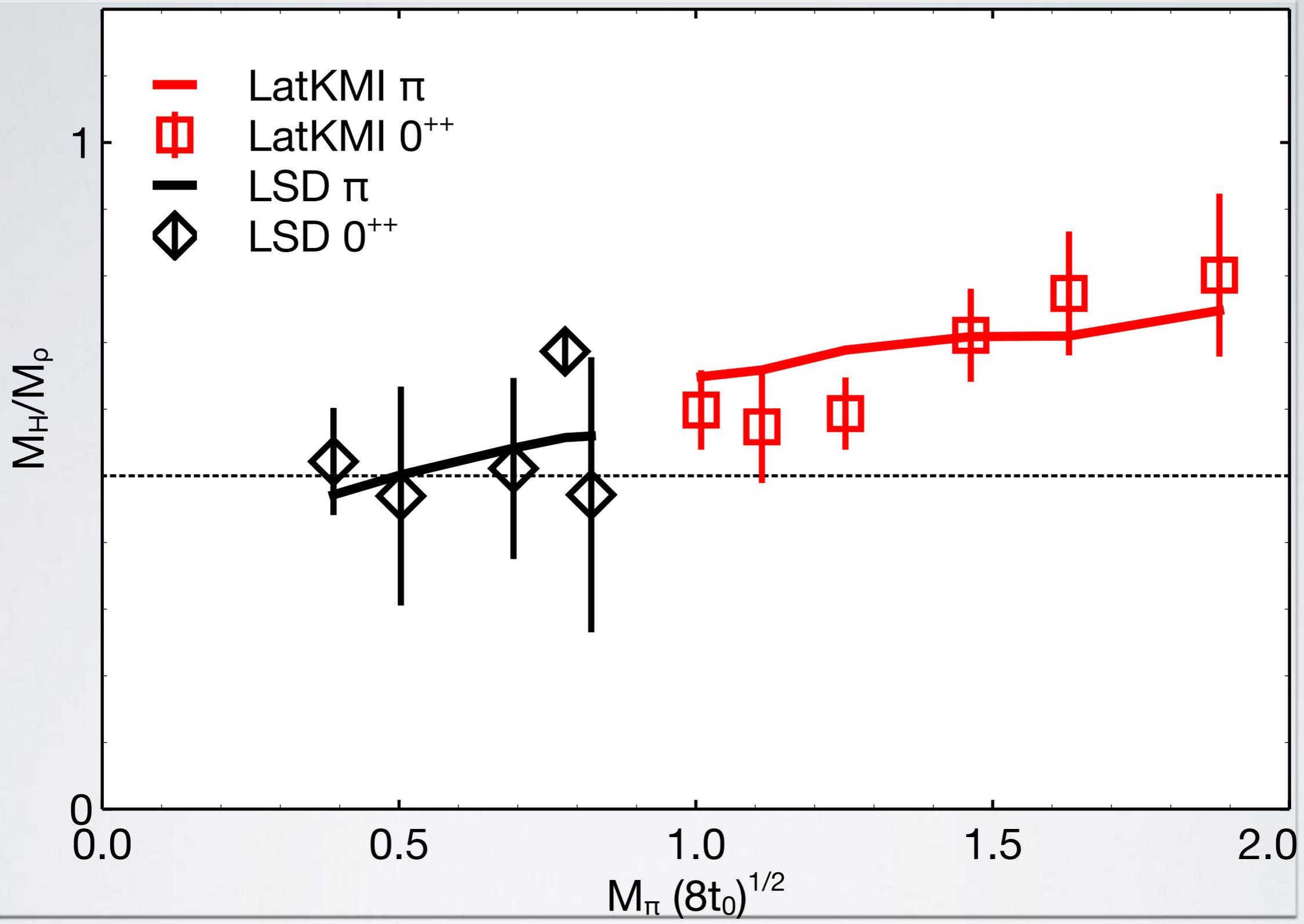


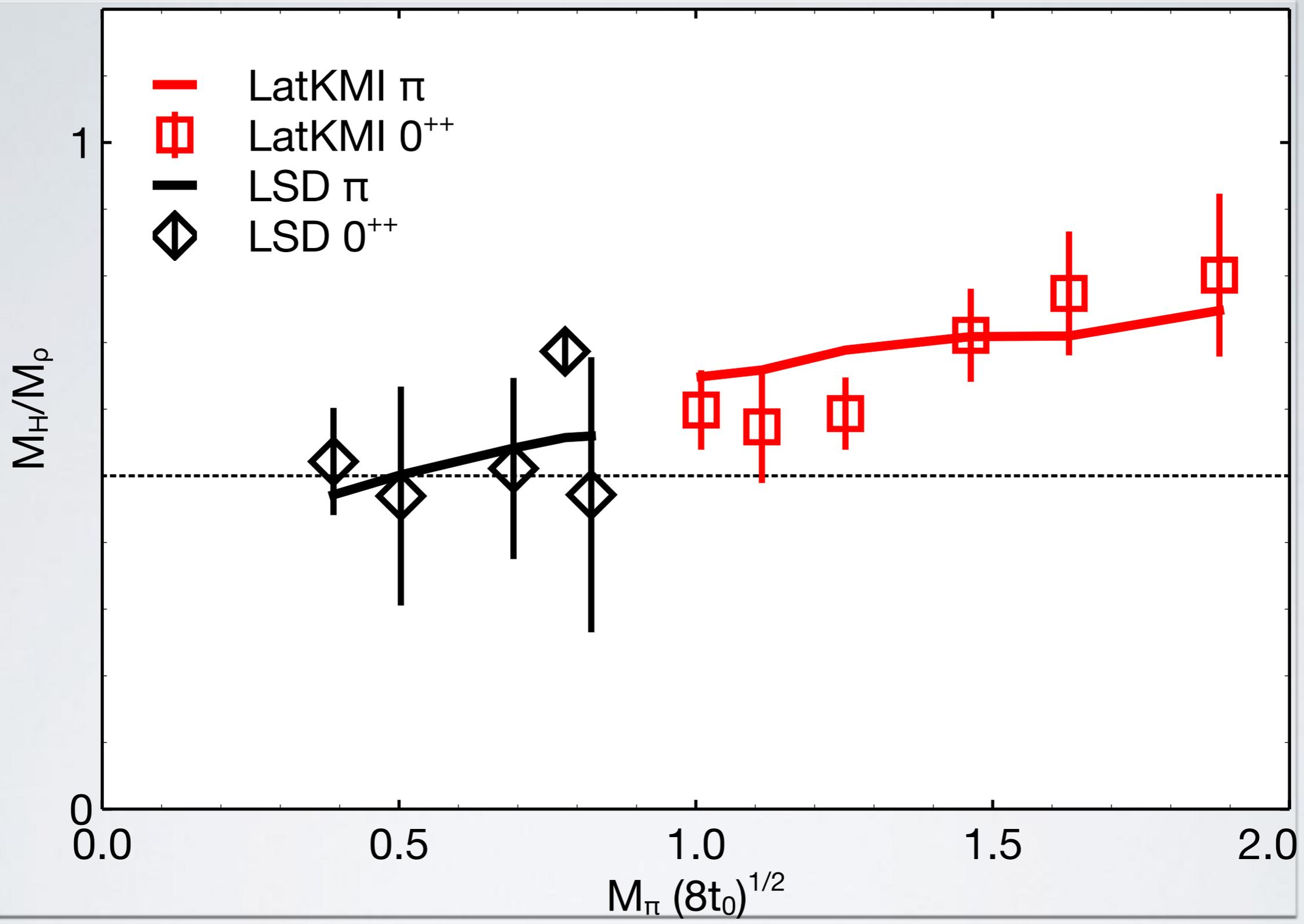




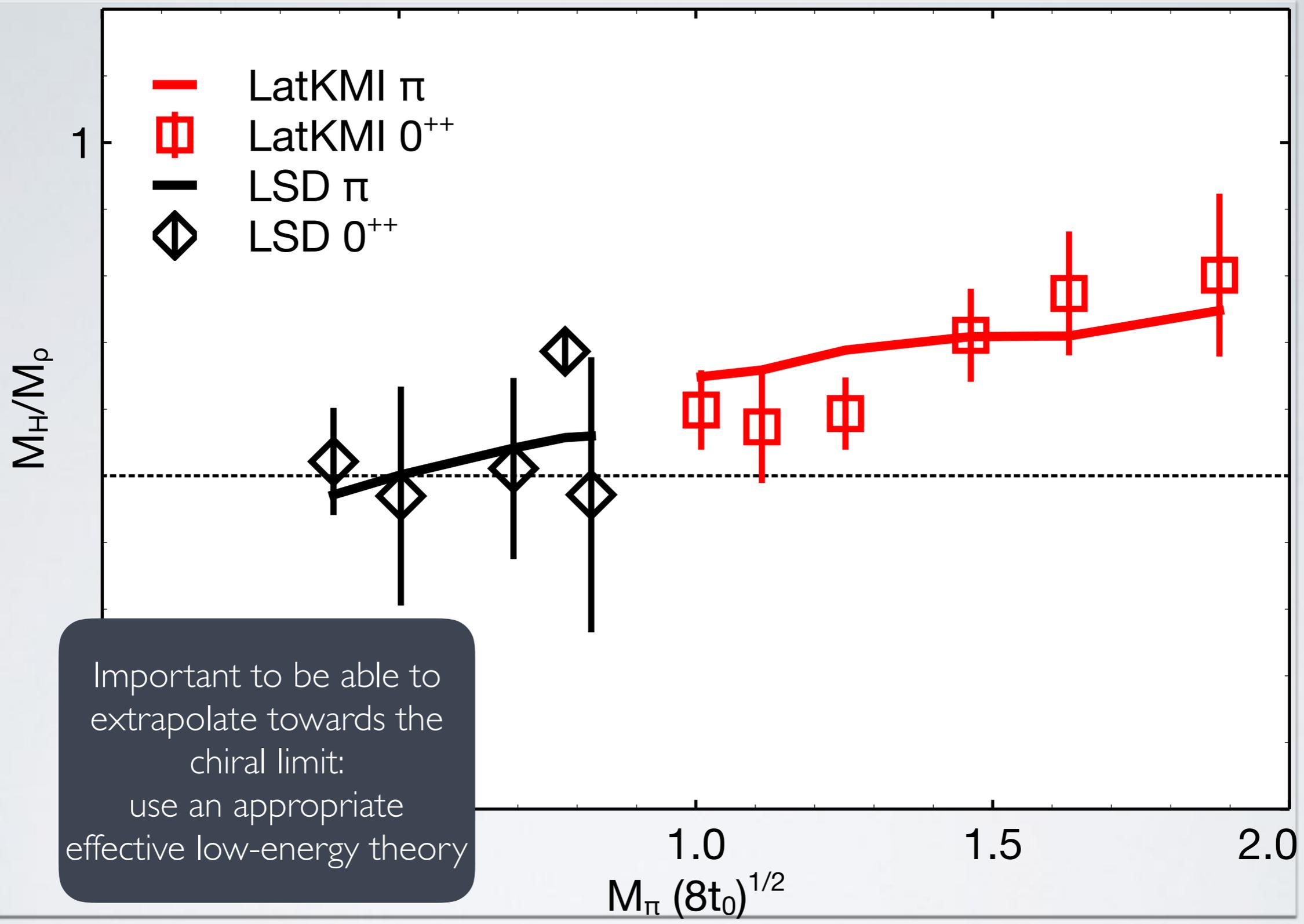


Different from QCD





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EFFECTIVE FIELD THEORY

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 - Different forms of the Effective potential for the scalar and pseudoscalar can be directly tested against Lattice data [Appelquist,Ingoldby&Piai:1702.04410]

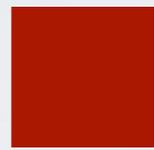
SUMMARY RESULTS

SU(3)
 N_f=2 (S)

Template Models

Scalar

SU(2) N_f=2 (F)



SU(2) N_f=2 (A)



SU(2) N_f=1 (A)



SU(3) N_f=12 (F)



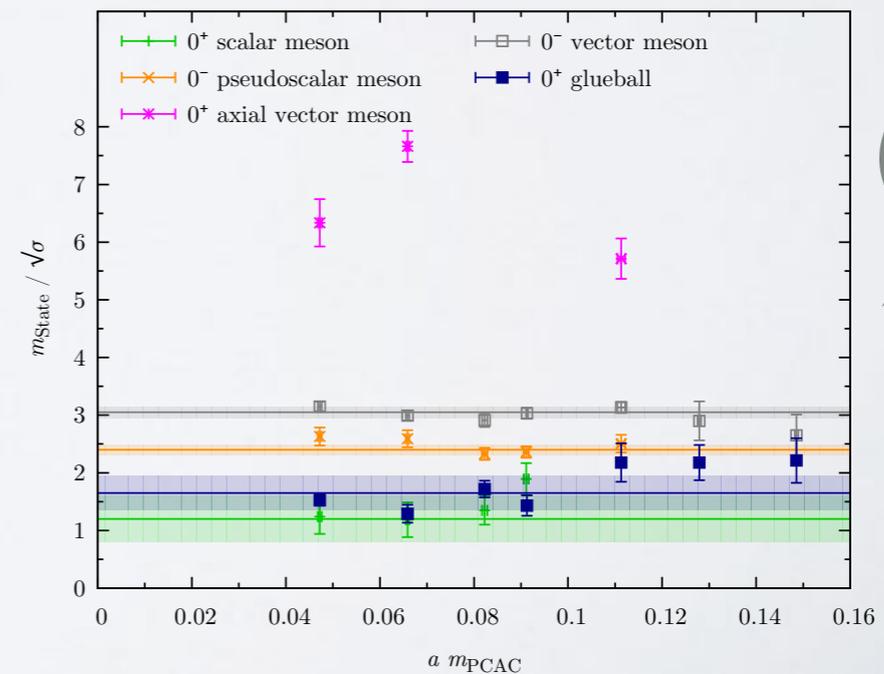
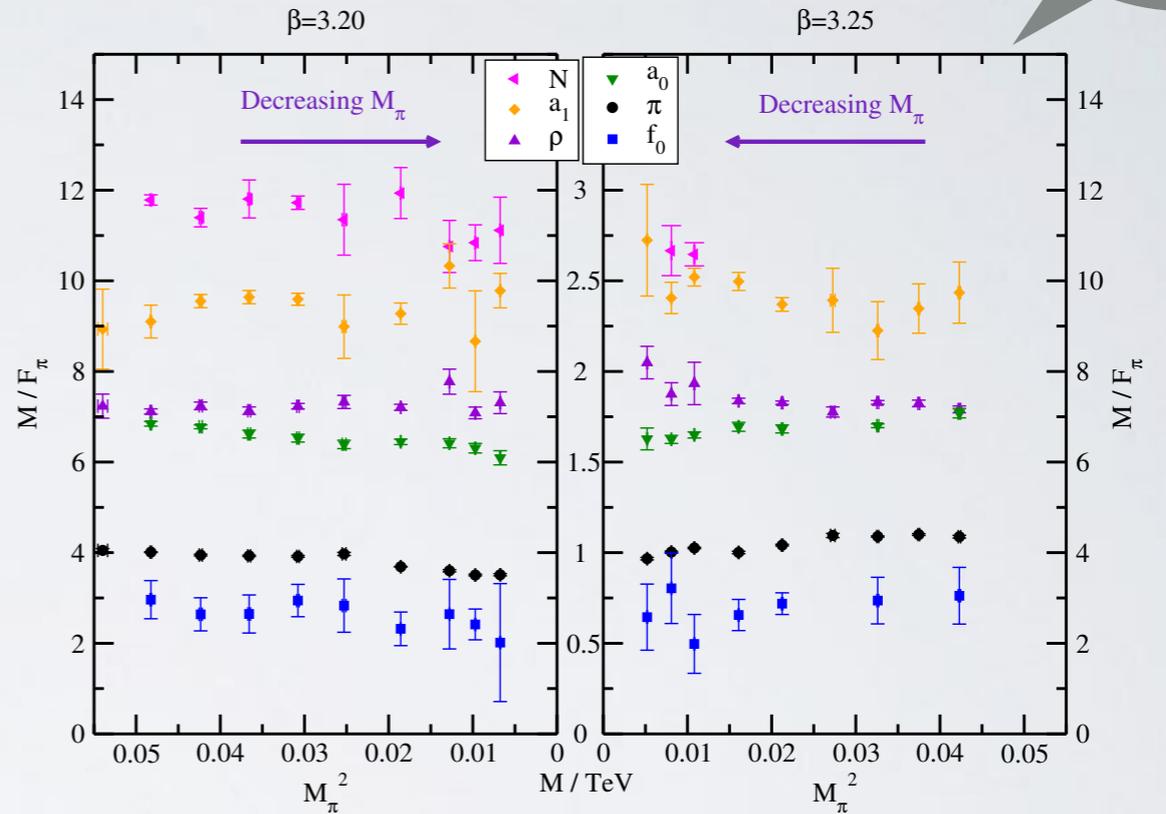
SU(3) N_f=8 (F)



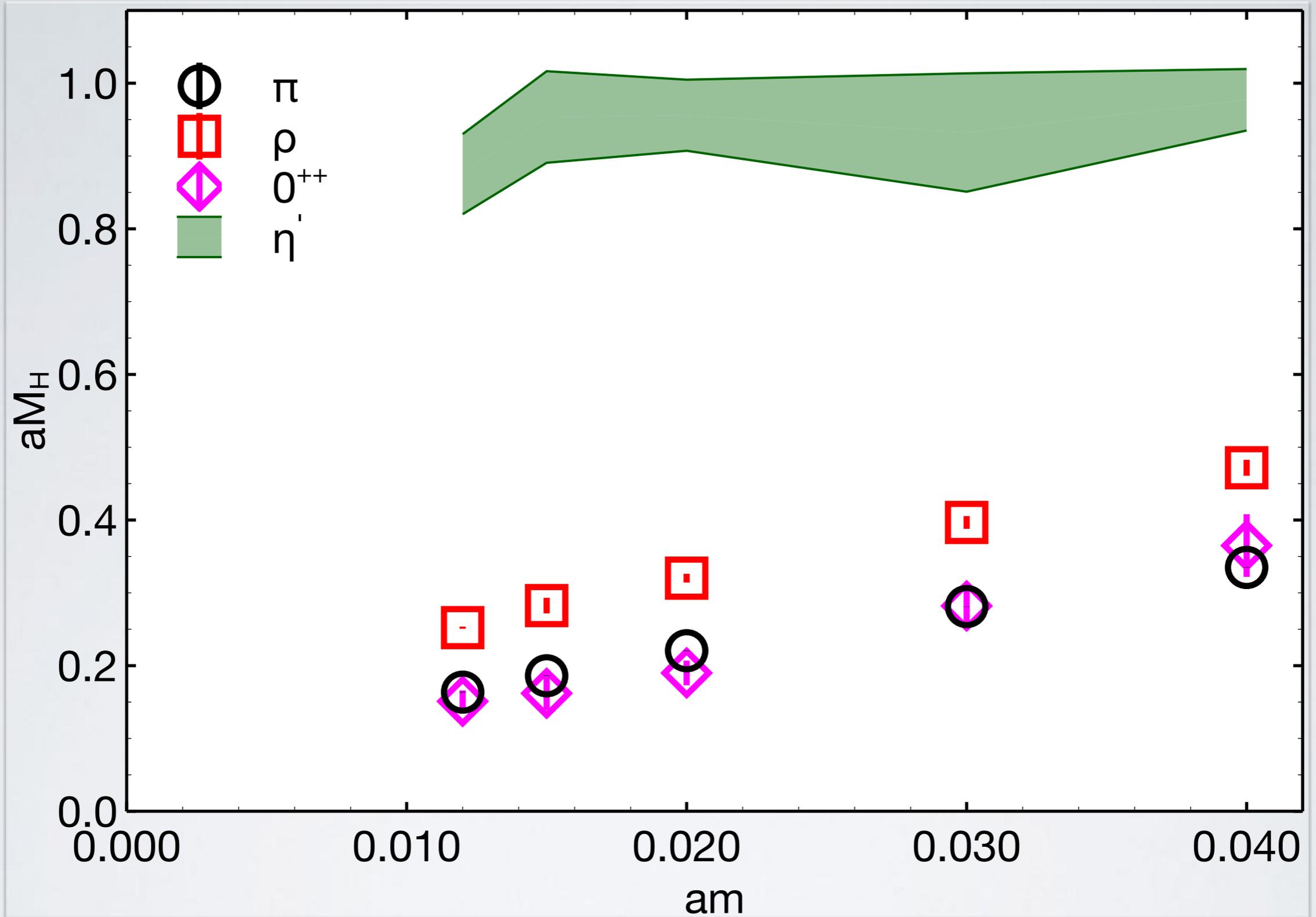
SU(3) N_f=4 (F)

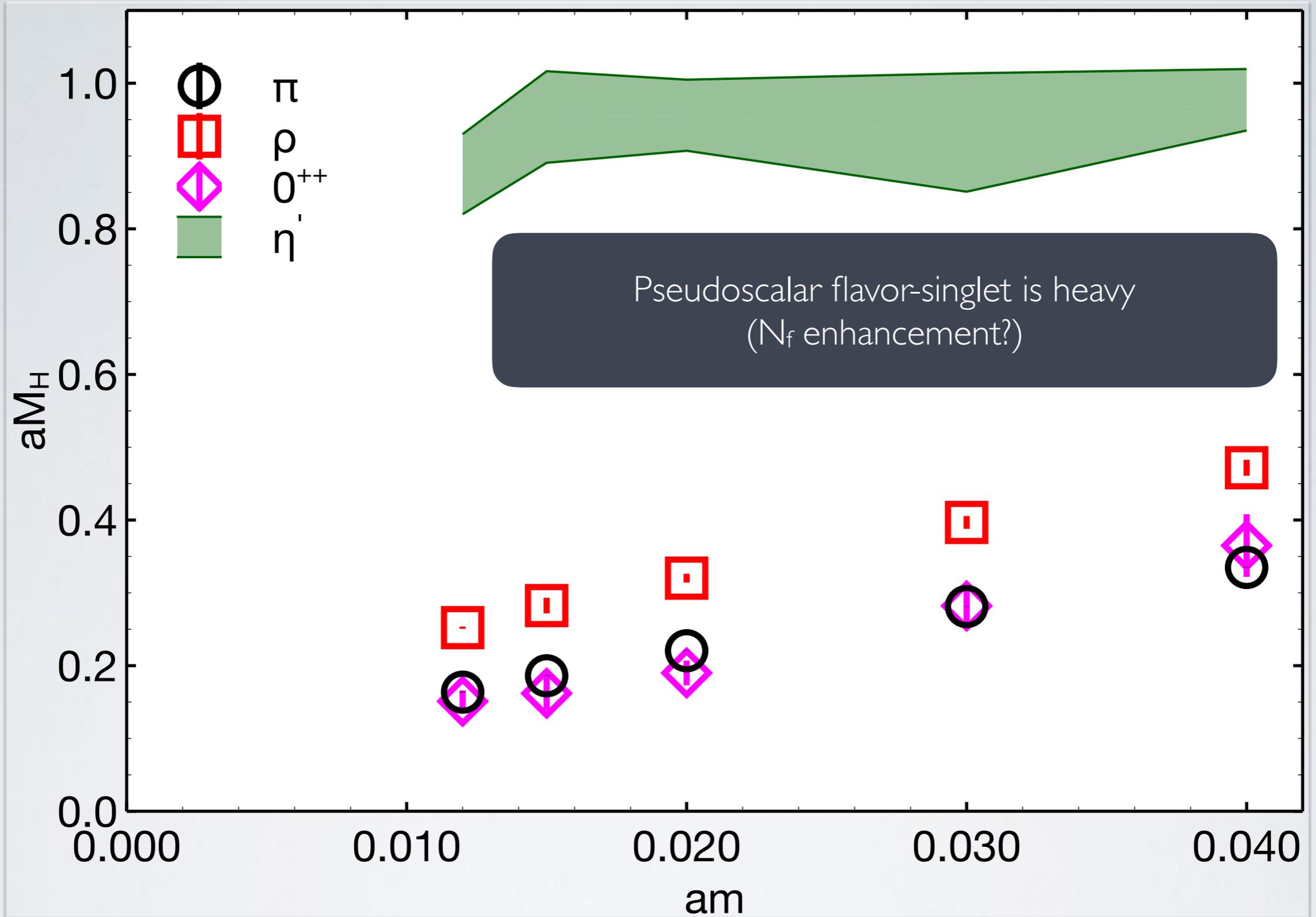


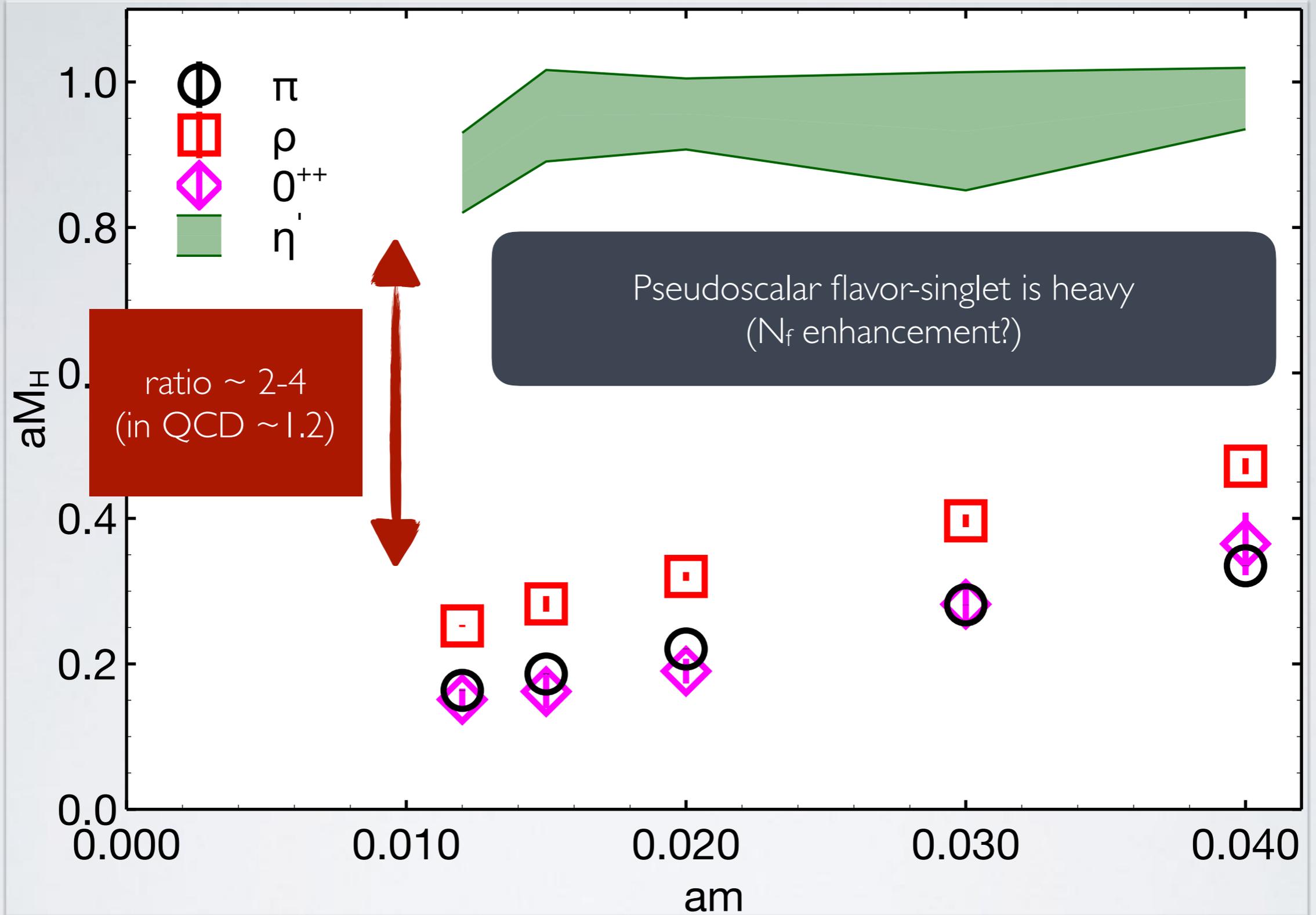
SU(3) N_f=2 (S)

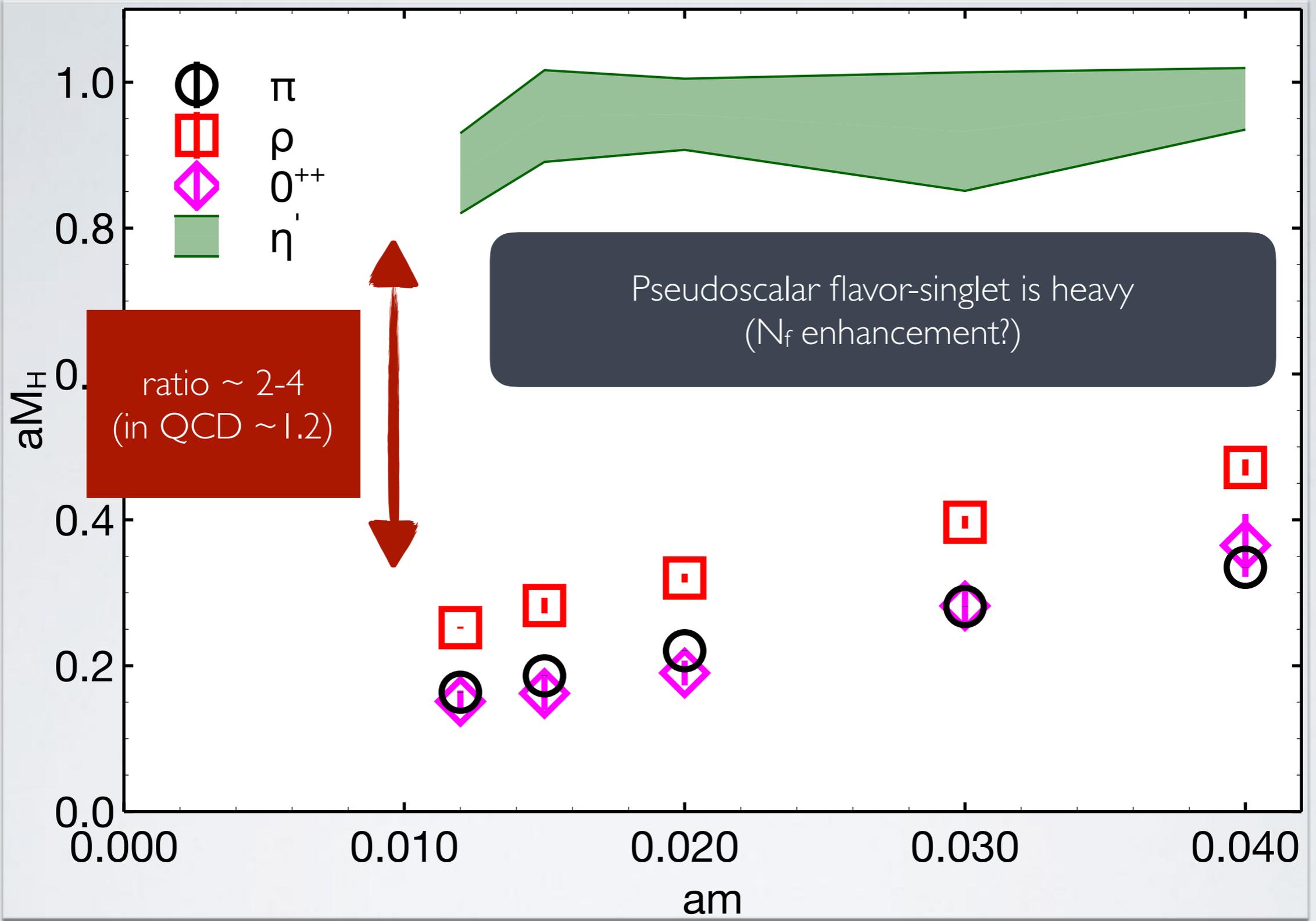


SU(2)
 N_f=1 (A)

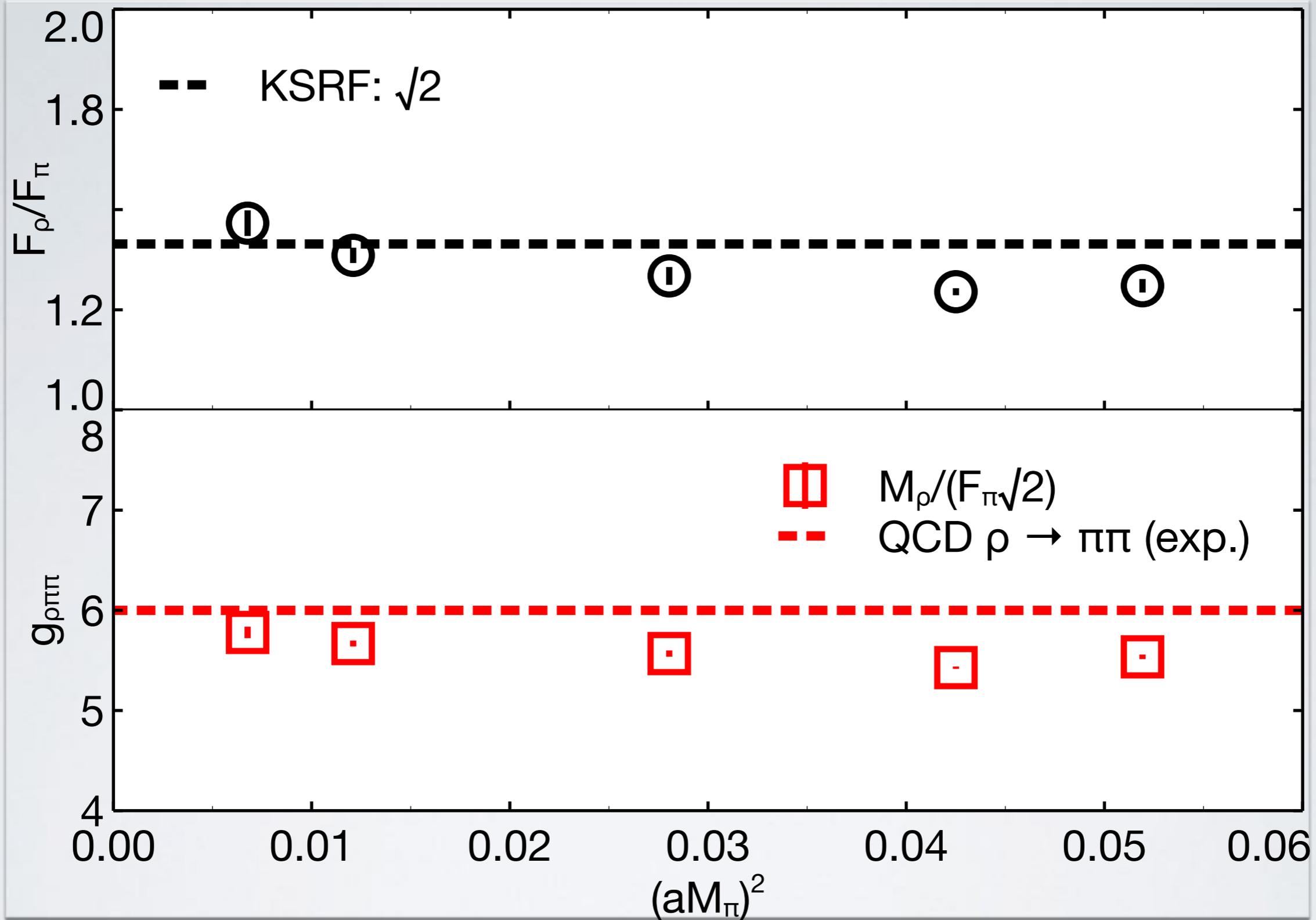


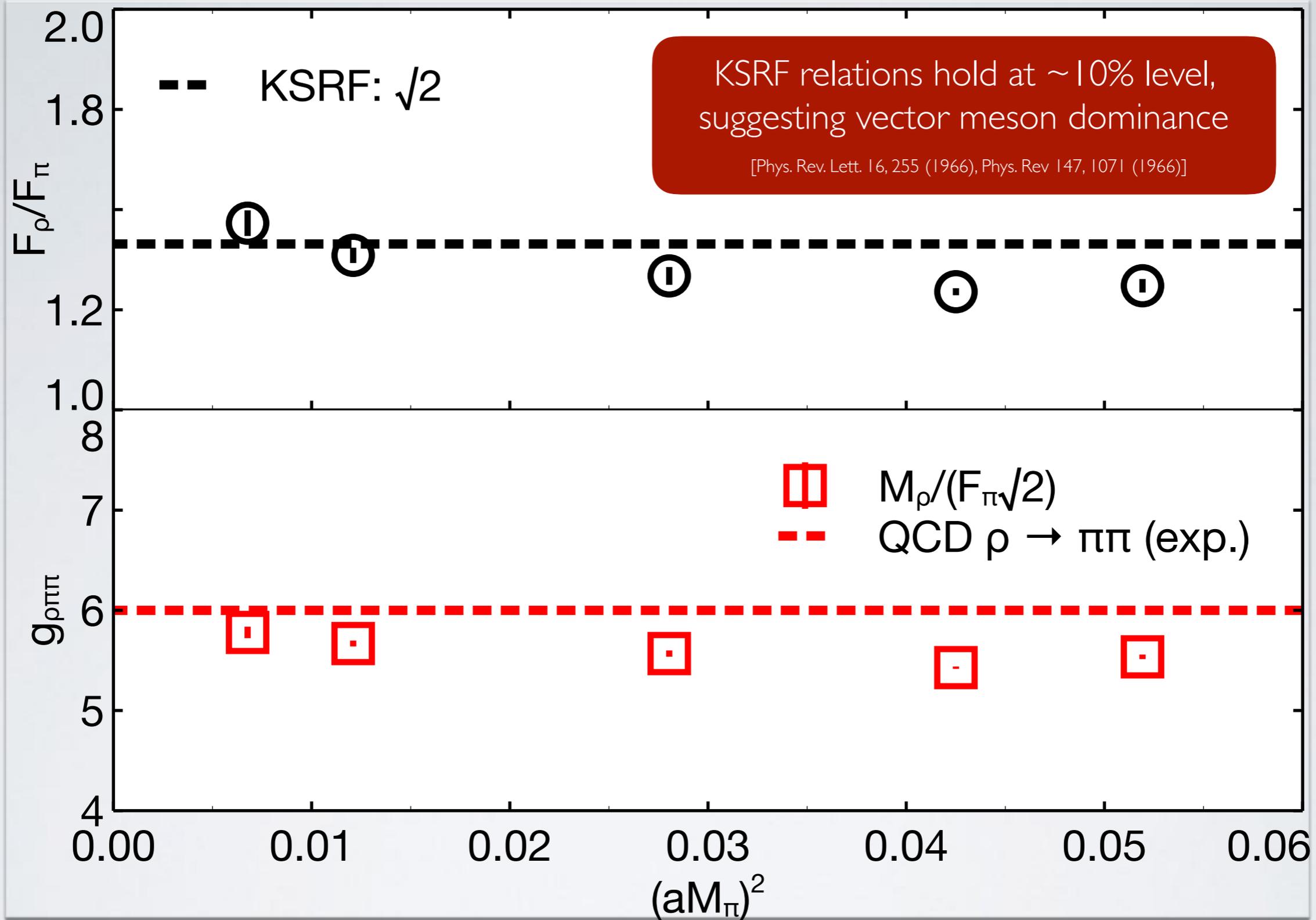


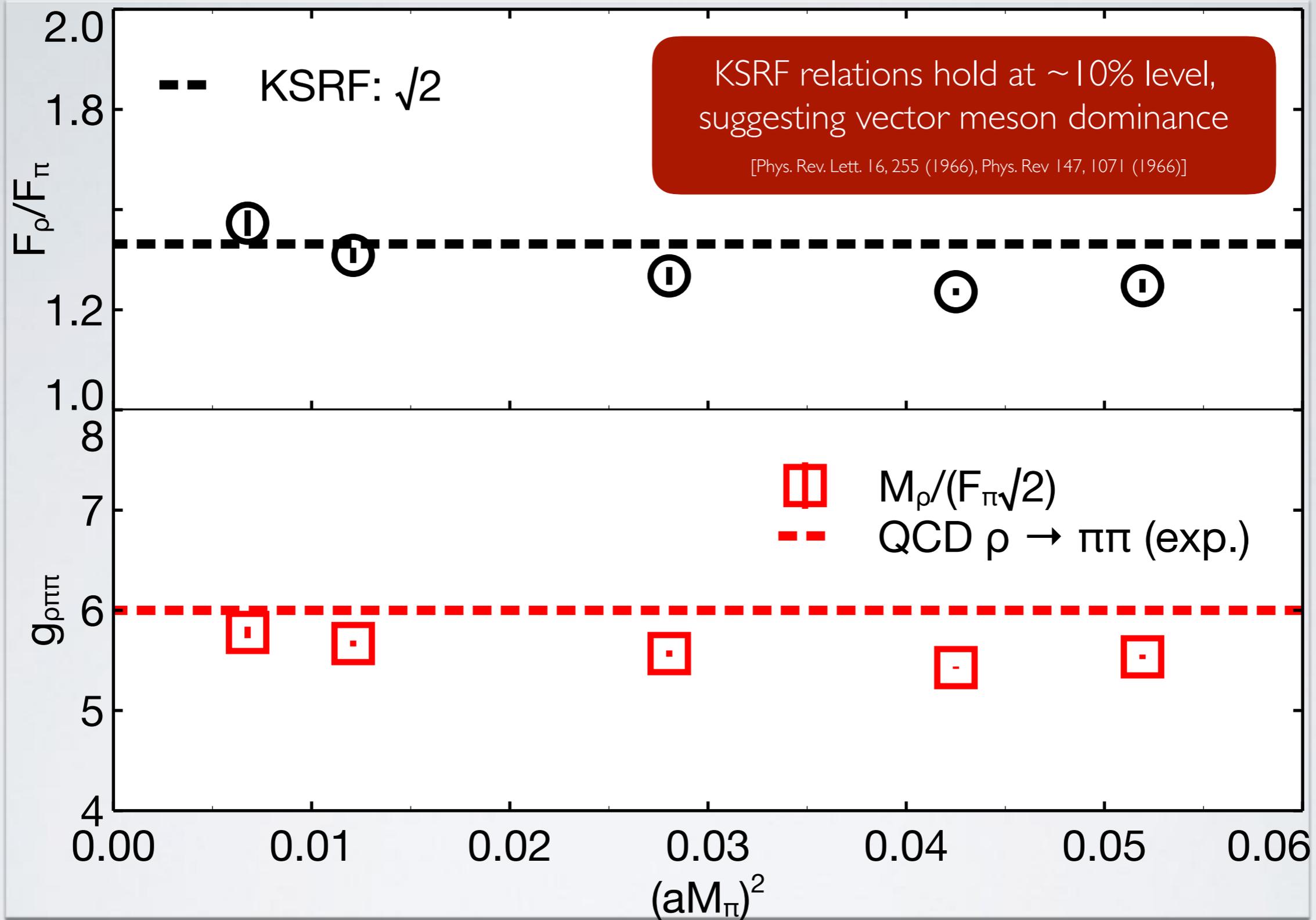




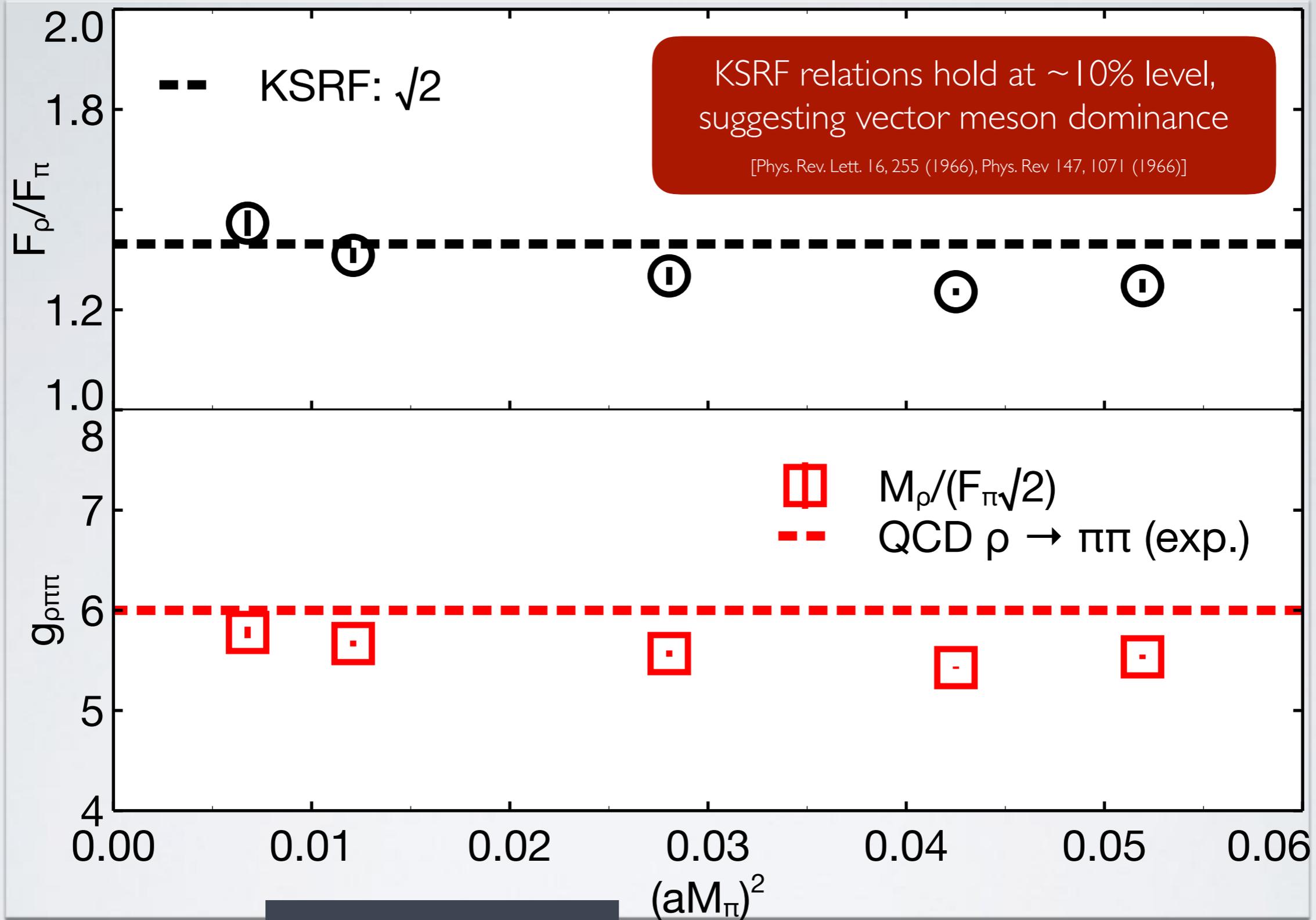
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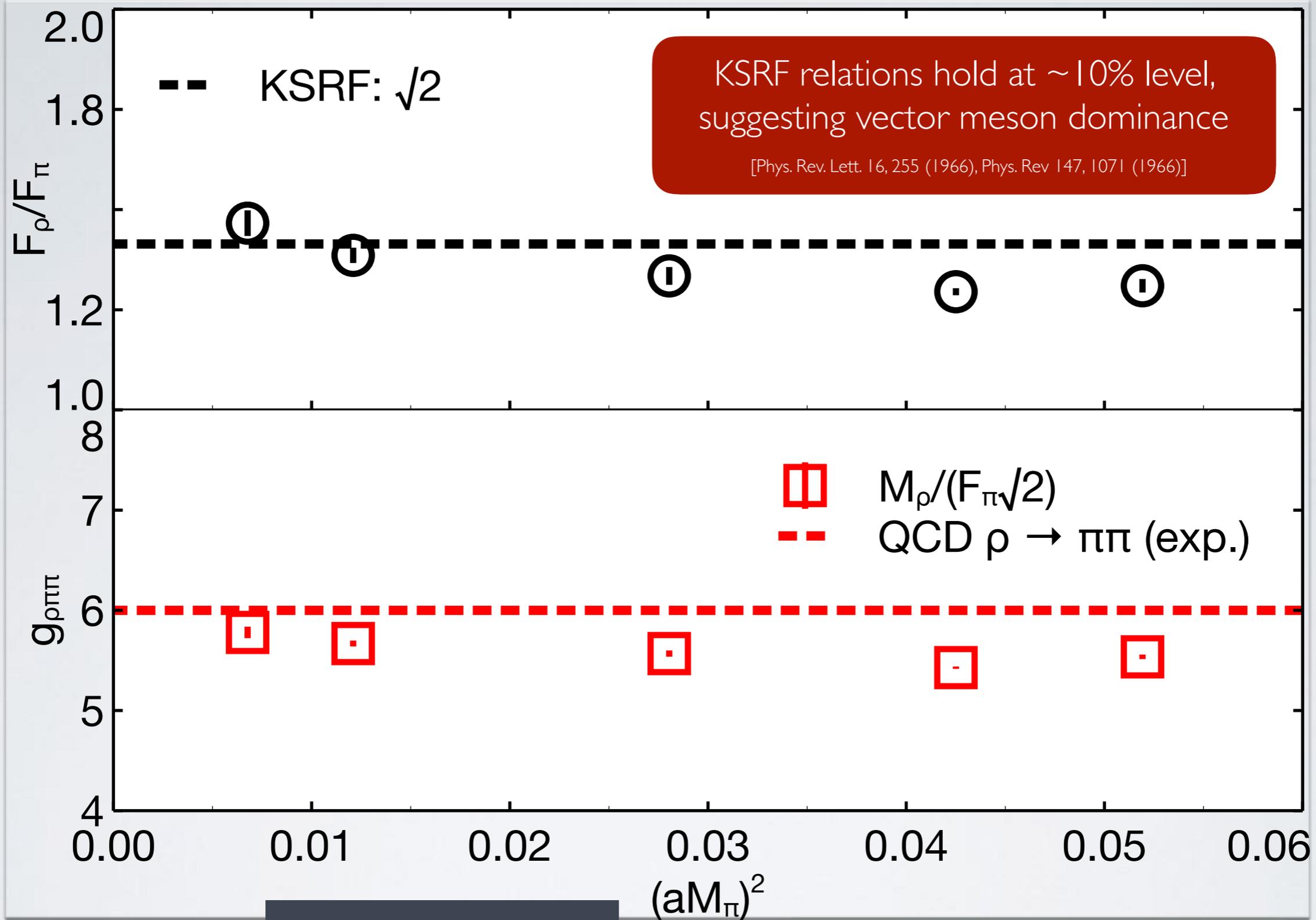




Similar to
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$$\Gamma_\rho \approx \frac{g_{\rho\pi\pi}^2 M_\rho}{48\pi}$$



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$M_\rho \sim 2\text{TeV}$ and $\Gamma_\rho \sim 450\text{GeV}$

Similar to QCD

CONCLUSIONS

- Lattice results for the $SU(3)$ $N_f=8$ theory using different discretizations are painting a consistent picture: there is a light scalar flavor-singlet state, the dynamics is different from QCD, but other heavier resonances behave similarly to QCD
- A light scalar has been observed in other systems that are very close or inside the conformal window
- Lattice studies can give information about other hadronic quantities:
 - S-parameter [**LSD arxiv:1405.4752, LatKMI arxiv:1602.00796**]
 - couplings between flavor-singlet scalar and pseudoscalars, e.g. $\pi\pi\pi$ scattering in the scalar channel [**LSD arXiv:1702.00480 + in prep.**]
 - Higgs coupling to SM fermions, e.g. dilaton decay constant [**LatKMI arxiv:1610.07011**]
 - anomalous dimensions [**LSD arxiv:1405.4752, LatKMI arxiv:1610.07011**]

Caveat: infinite volume limit, continuum limit and chiral limit
need to be worked on!

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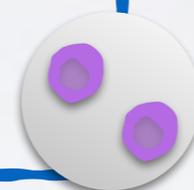
extra slides

COMPOSITE DARK MATTER

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- ◆ Quirky DM [*Kribs et al.*, 0909.2034]
- ◆ Ectocolor DM [*Buckley&Neil*, 1209.6054]
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★ Baryon-like (multiple quarks)

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- ◆ Stealth DM [*LSD*, 1503.04203-1503.04205]
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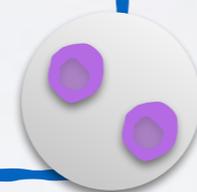
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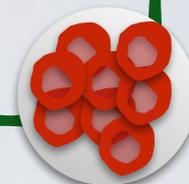
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LATTICE RESULTS

Template Models

Spectrum

Higgs

Mag. Dip.

Charge r.

Polariz.

SU(2) $N_f=1$



SU(2) $N_f=2$



SU(3) $N_f=2,6$



SU(3) $N_f=8$



SU(3) $N_f=2$ (S)



SU(4) $N_f=4$



SO(4) $N_f=2$ (V)



SU(N) $N_f=0$



LATTICE RESULTS

Template Models

Spectrum

Higgs

Mag. Dip.

Charge r.

Polariz.

SU(2) $N_f=1$



SU(2) $N_f=2$



forbidden in pNGB DM



SU(3) $N_f=2,6$



SU(3) $N_f=8$



SU(3) $N_f=2$ (S)



SU(4) $N_f=4$



forbidden in Stealth DM



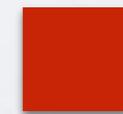
SO(4) $N_f=2$ (V)



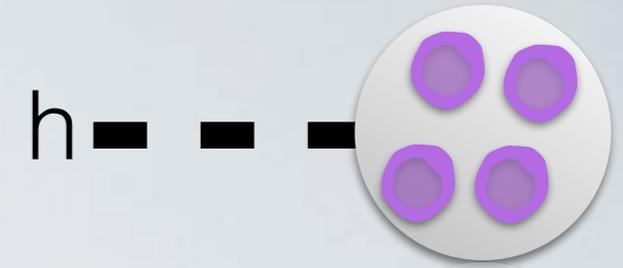
SU(N) $N_f=0$



forbidden in SUNonia



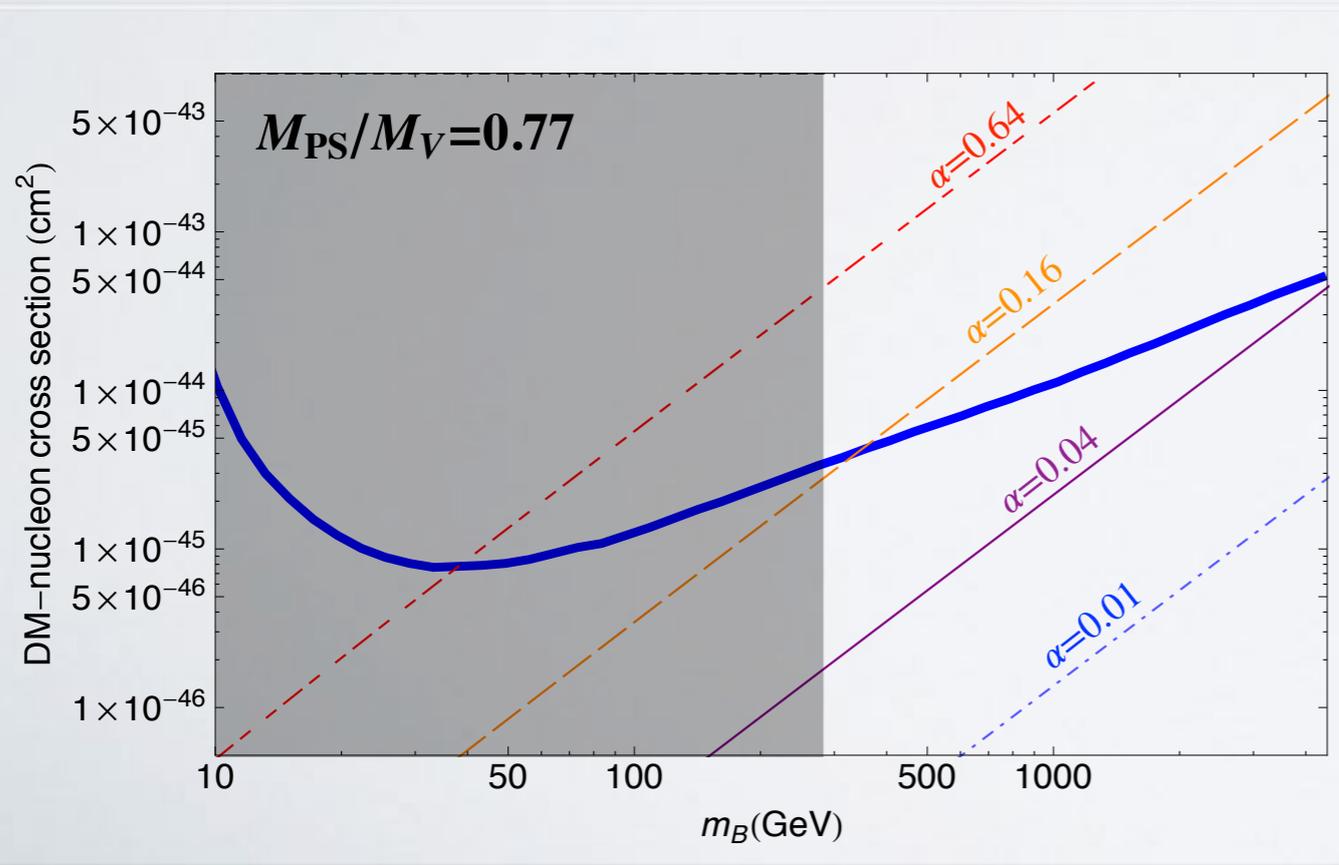
Bounds from Higgs exchange



- ◆ Lattice results for the cross-section are compared to **experimental** bounds
- ◆ Coupling space in specific models can be vastly constrained

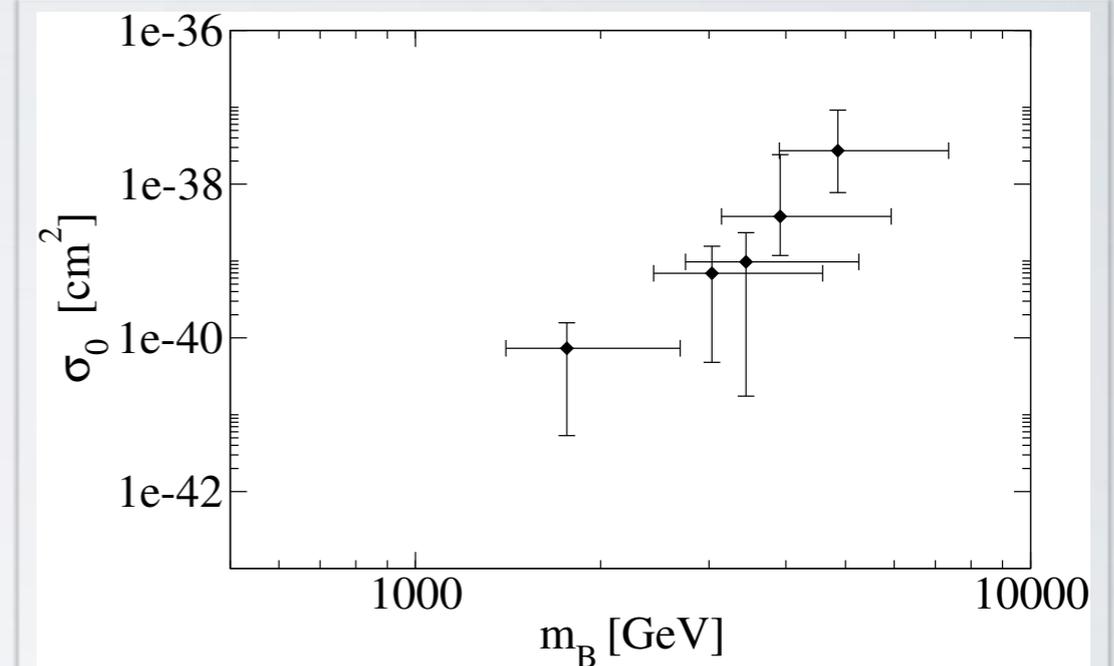
SU(4) $N_f=4$ Stealth DM

[LSD, 1402.6656-1503.04203]



SU(3) $N_f=8$ “technibaryon”

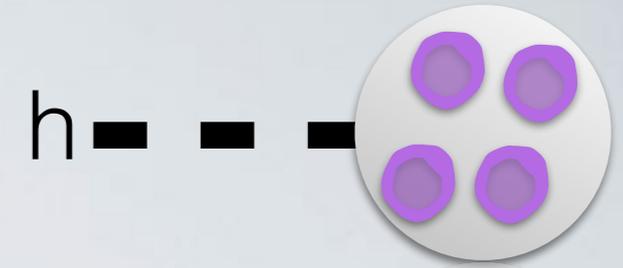
[LatKMI, 1510.07373]



- ◆ Some candidates can be excluded as dominant sources of dark matter
- ◆ There is lattice evidence for universality of dark scalar form factors

[DeGrand et al., 1501.05665]

Bounds from Higgs exchange

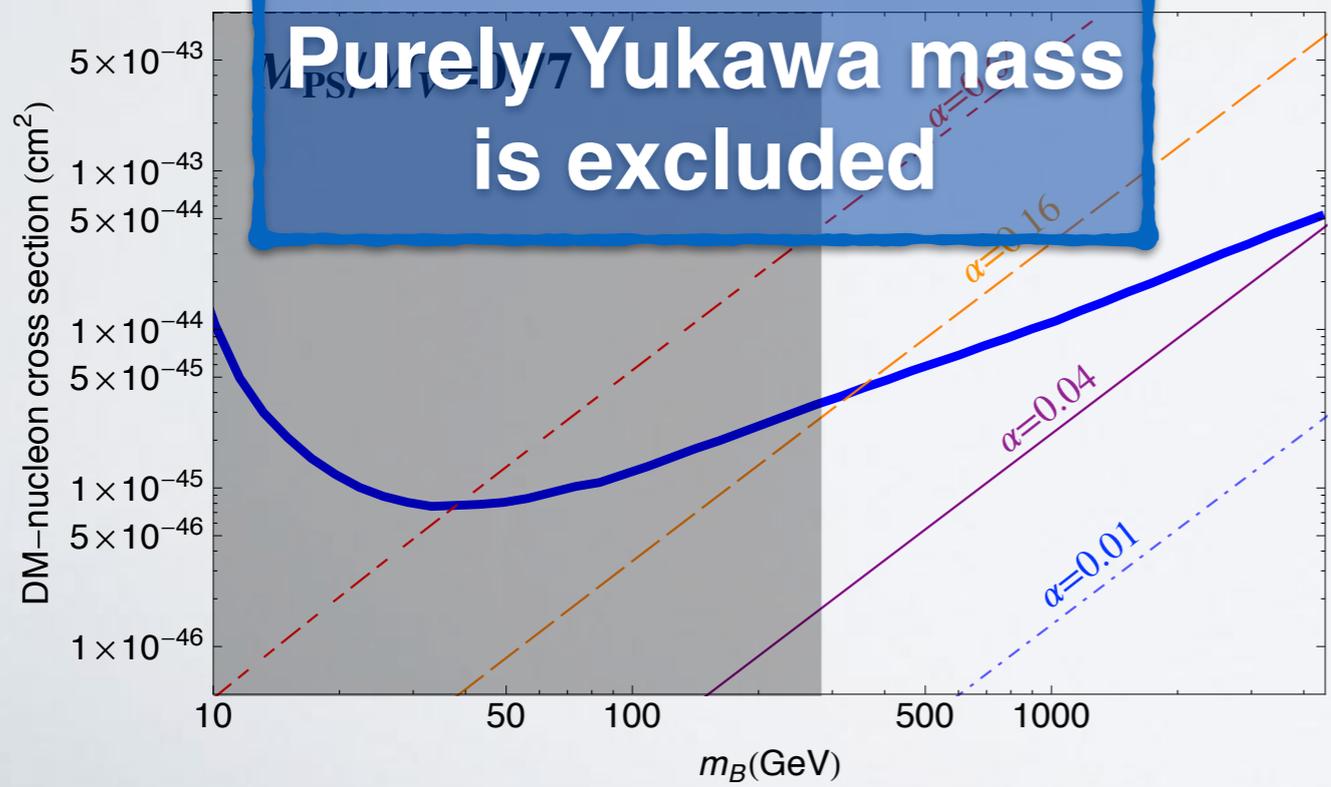


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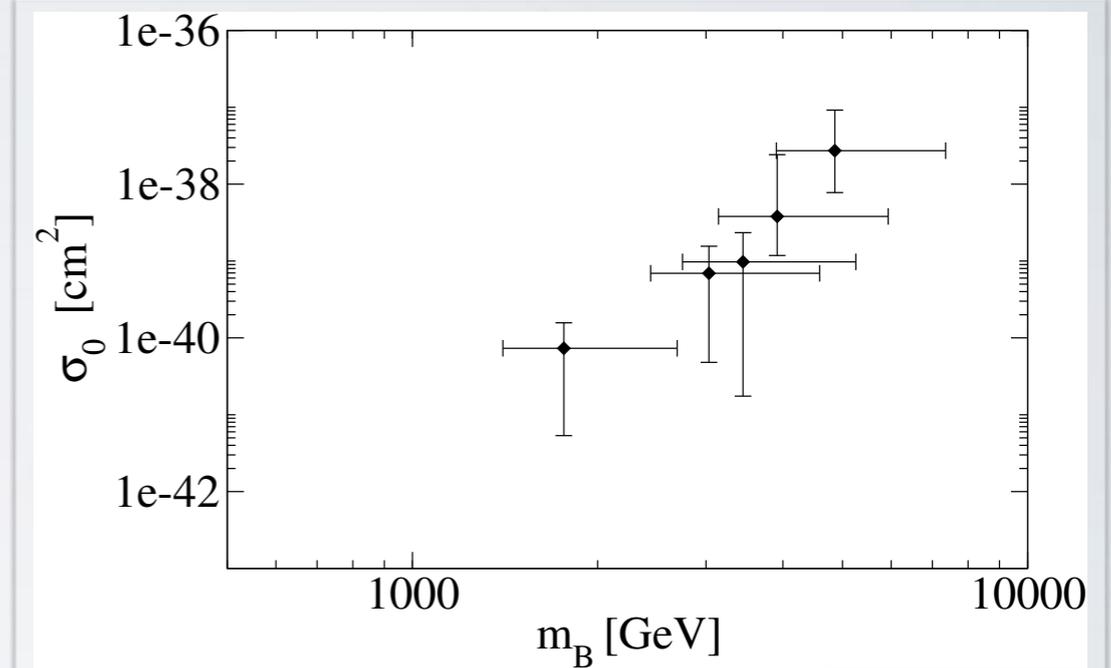
[LSD, 1402.6656-1503.04203]

Purely Yukawa mass is excluded



SU(3) $N_f=8$ “technibaryon”

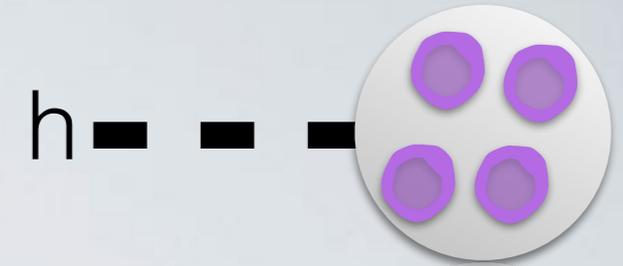
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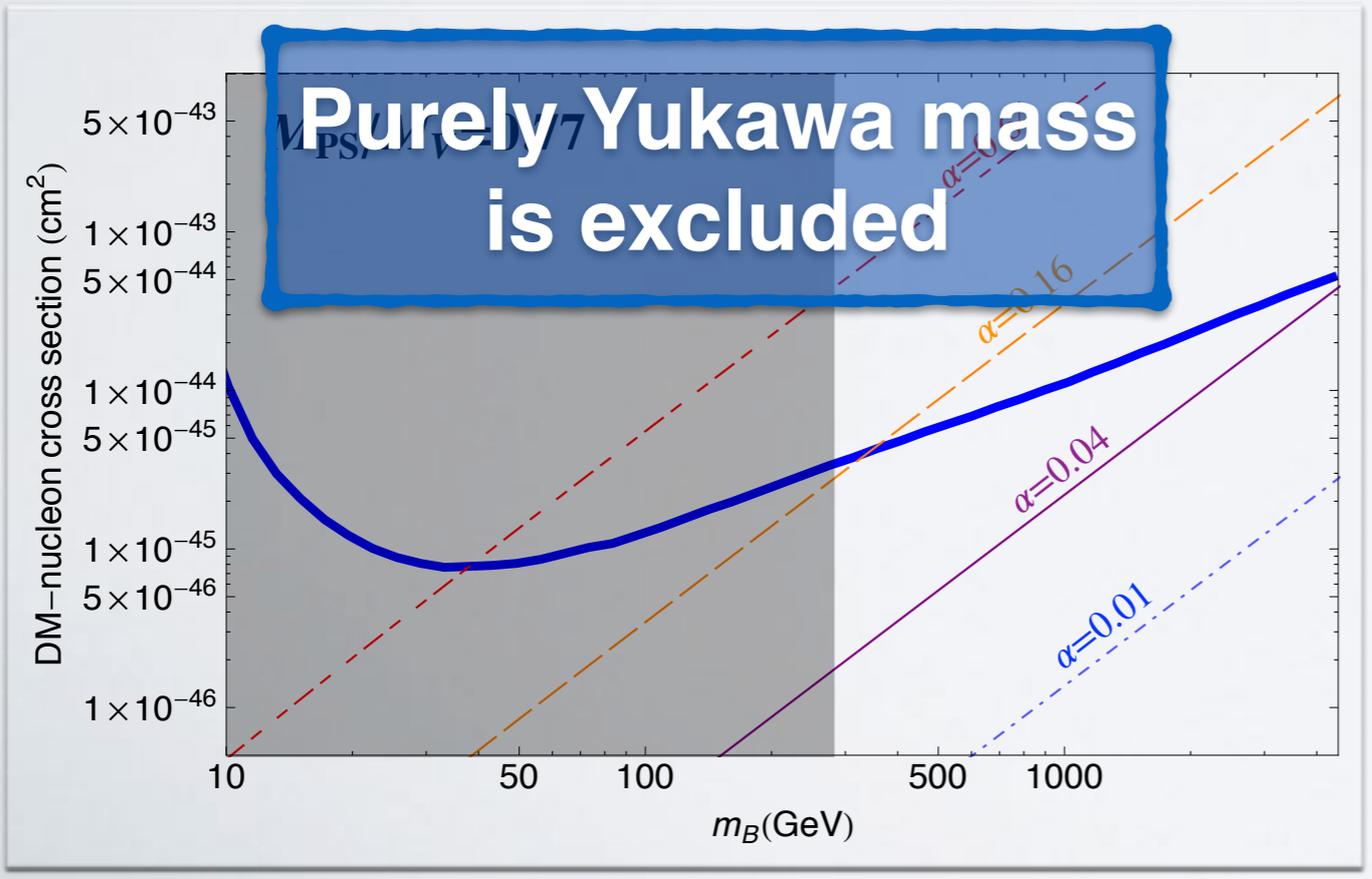


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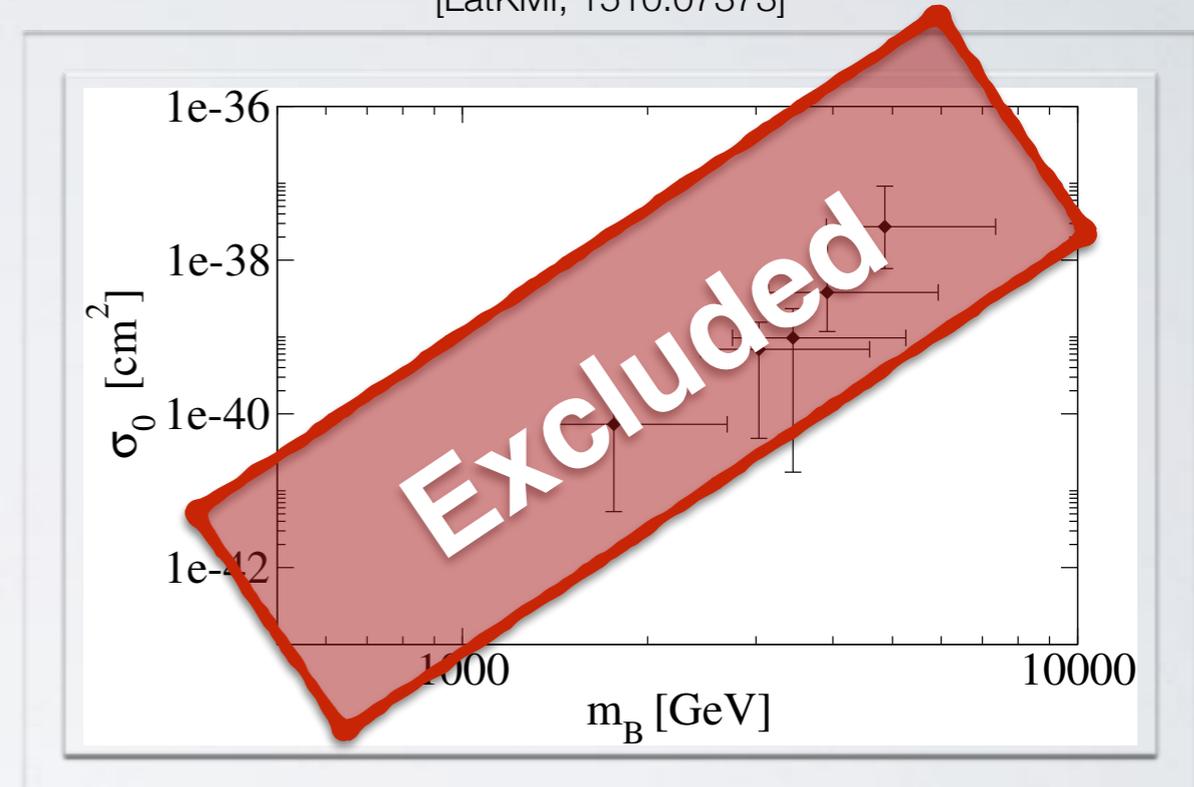
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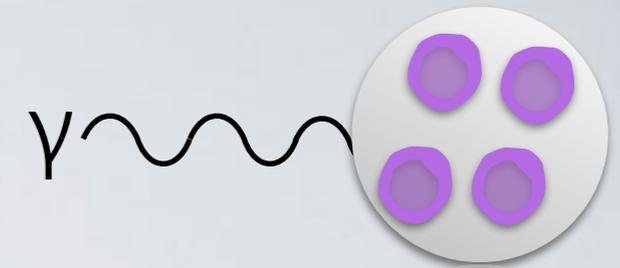
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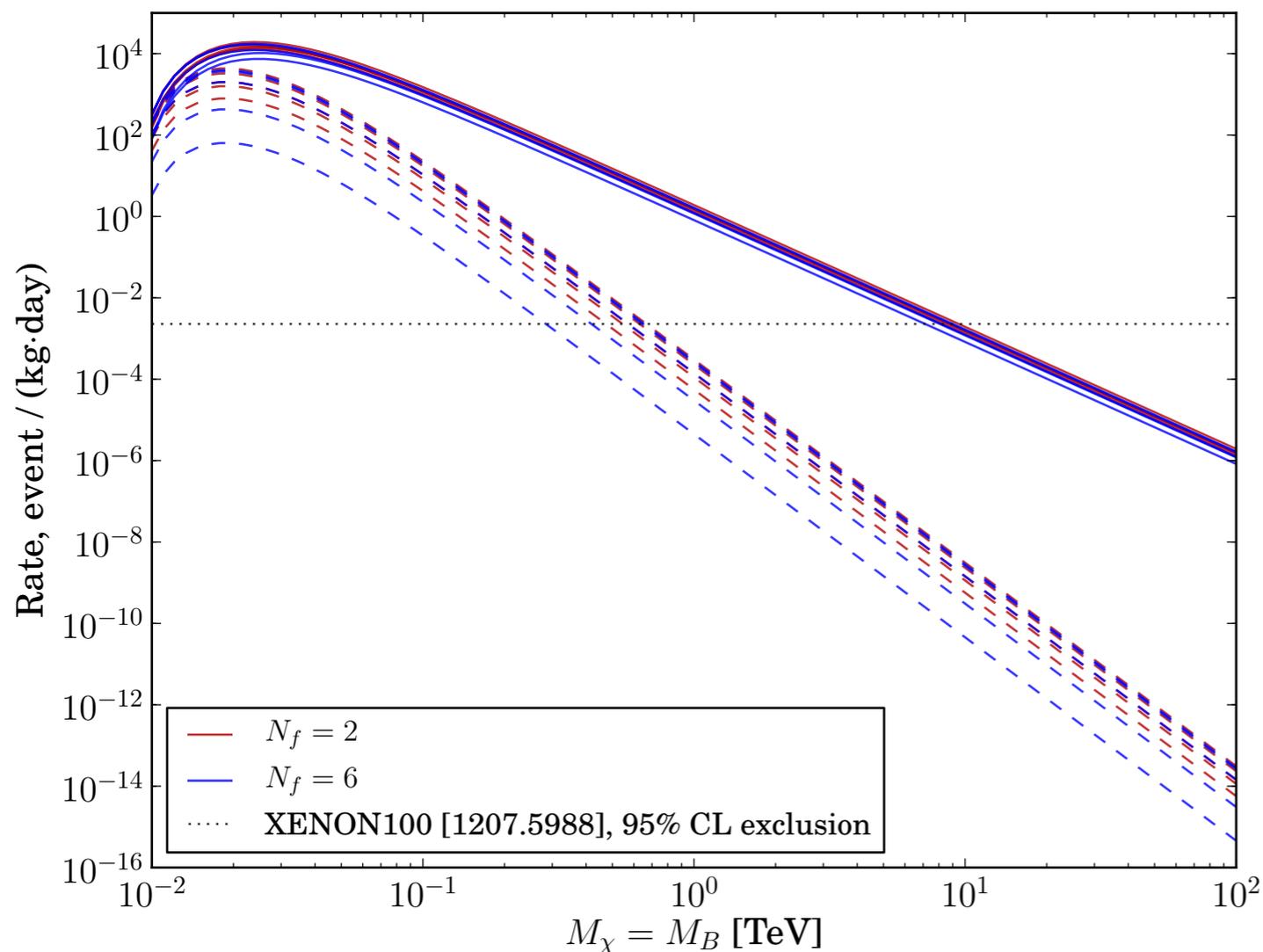
Bounds from EM moments



Mesonic and Baryonic EM form factors
directly from lattice simulations

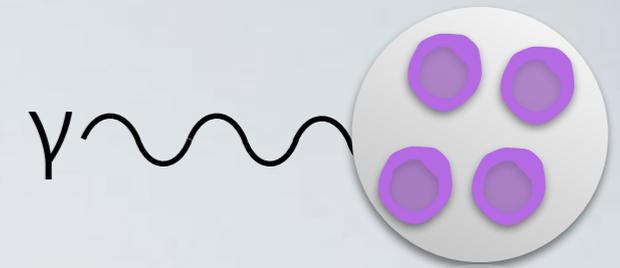
SU(3) $N_f=2,6$ dark fermionic baryon

[LSD, 1301.1693]



- ★ baryon similar to QCD neutron
- ★ dark quarks with $Q=Y$
- ★ calculate connected 3pt
- ★ scale set by DM mass
- ★ magnetic moment dominates
- ★ results independent of N_f

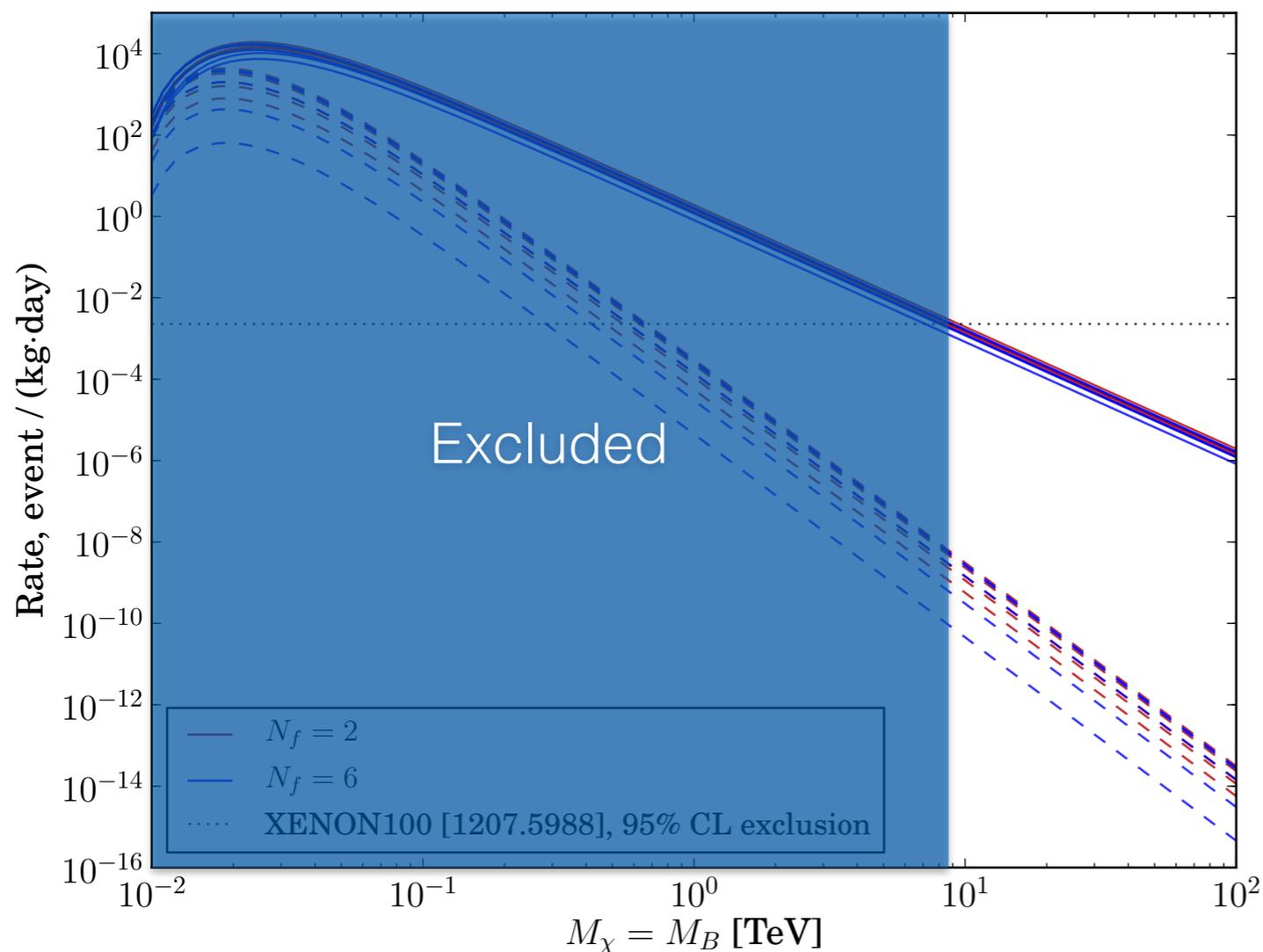
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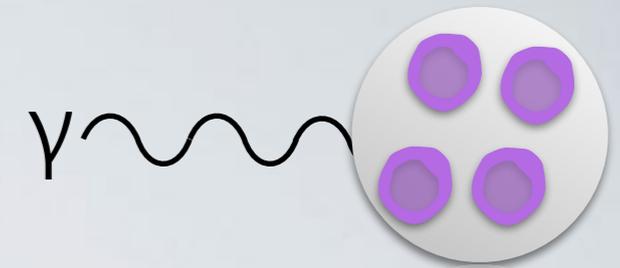
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$M_B > \sim 10$ TeV

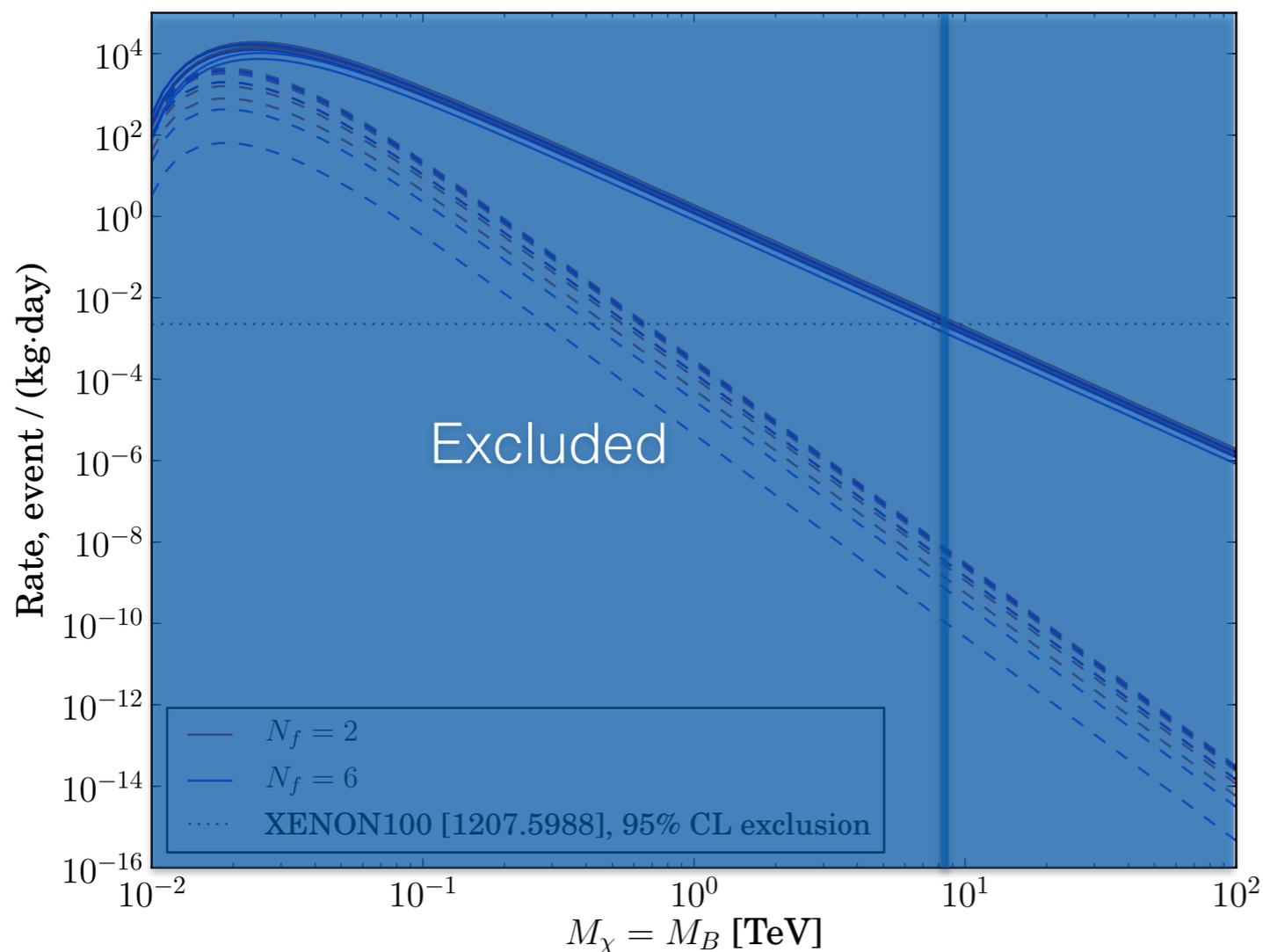
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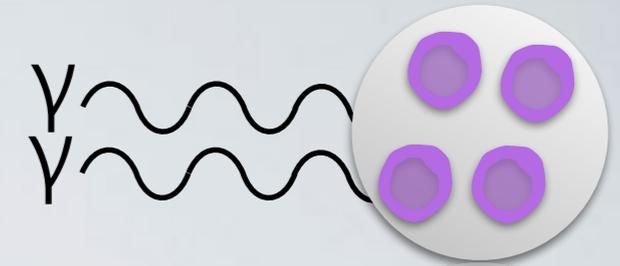
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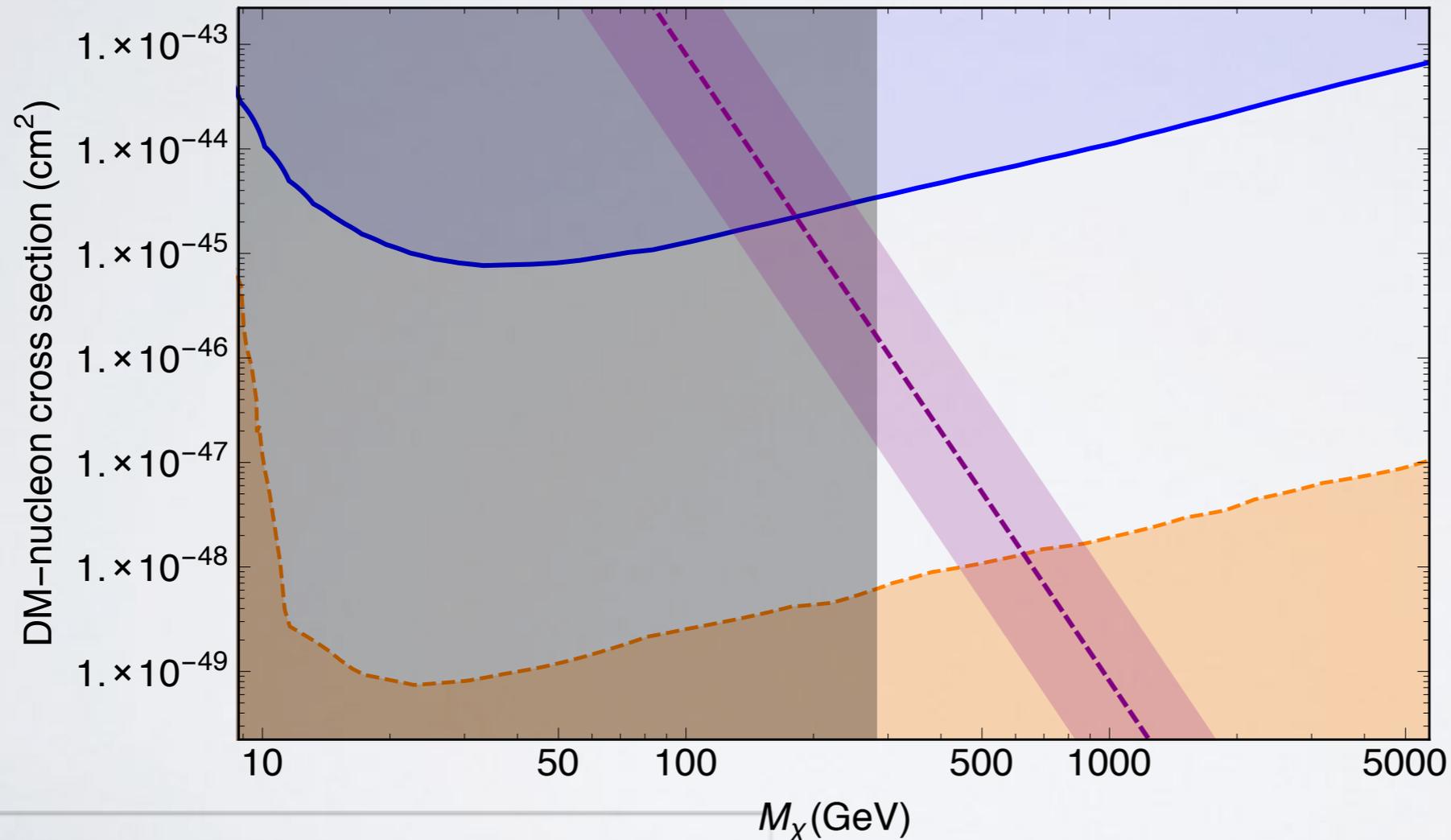
$M_B > \sim 10$ TeV

pushed to ~ 100 TeV
with new LUX



Lowest bound from EM polarizability

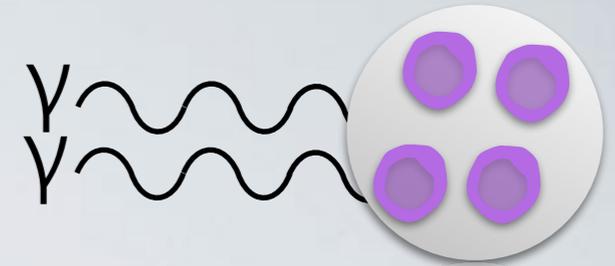
Electric polarizability from lattice simulations with background fields



SU(4) $N_f=4$ Stealth DM

[LSD, 1503.04205]

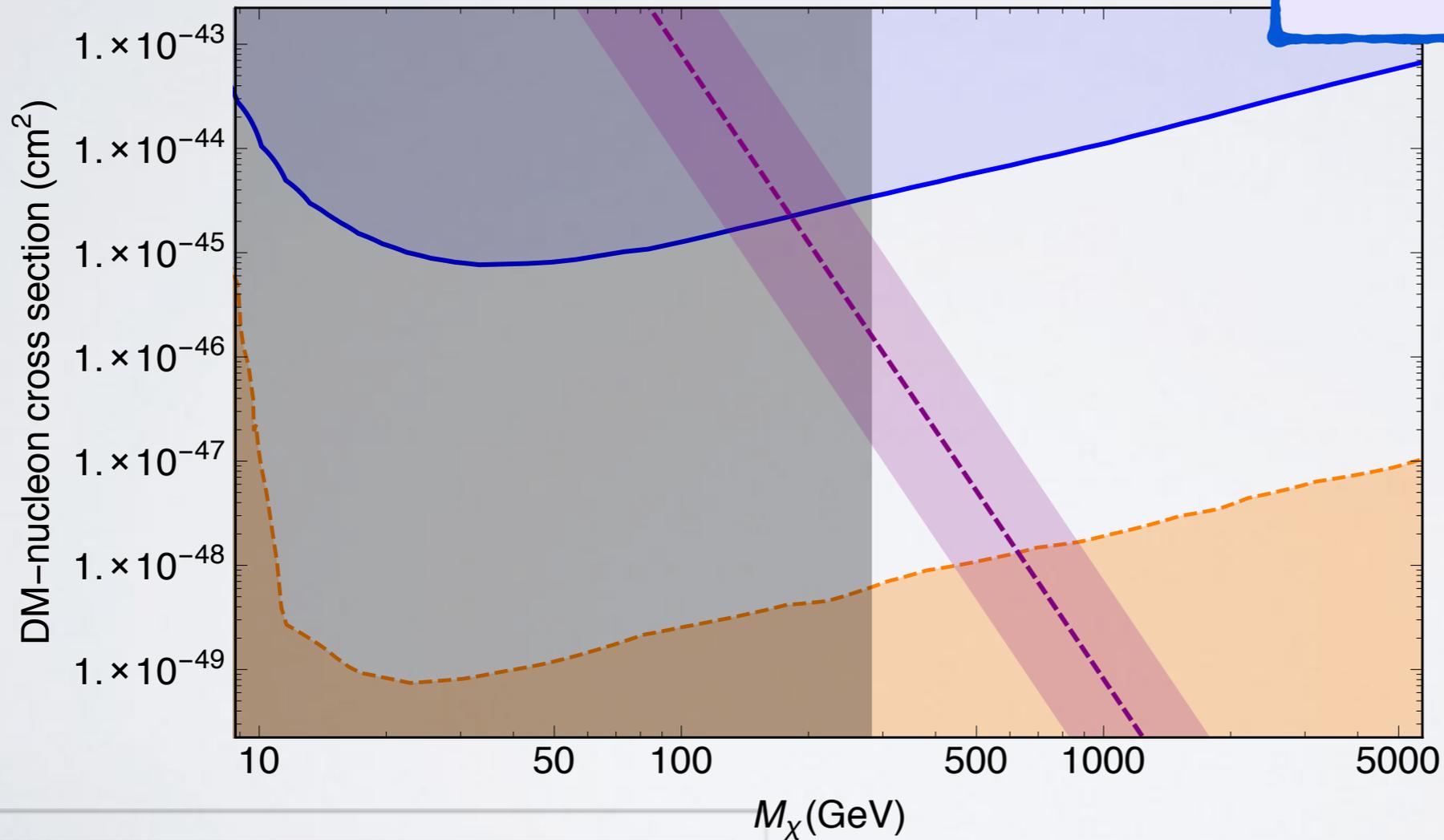
$$\sigma_{\text{nucleon}}(Z, A) = \frac{Z^4}{A^2} \frac{144\pi\alpha^4 \mu_{n\chi}^2 (M_F^A)^2}{m_\chi^6 R^2} [c_F]^2$$



Lowest bound from EM polarizability

Electric polarizability from lattice simulations with background fields

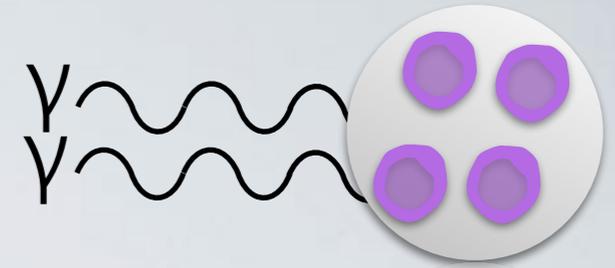
LUX exclusion bound for spin-independent cross section



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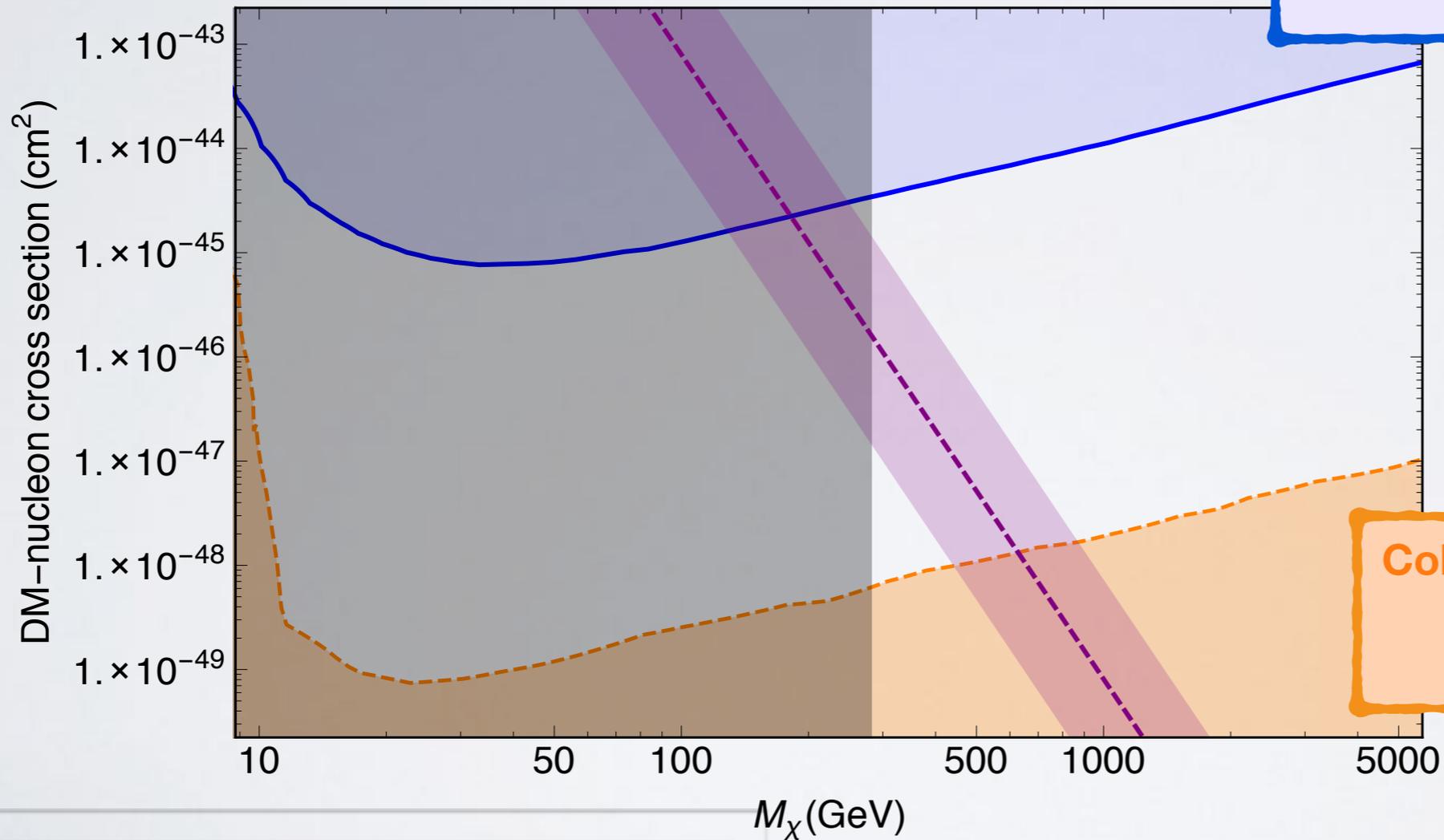
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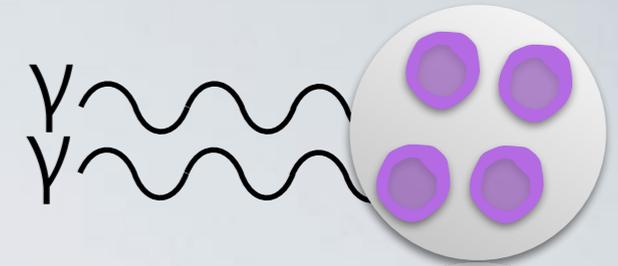


SU(4) $N_f=4$ Stealth DM

[LSD, 1503.04205]

Coherent neutrino scattering background

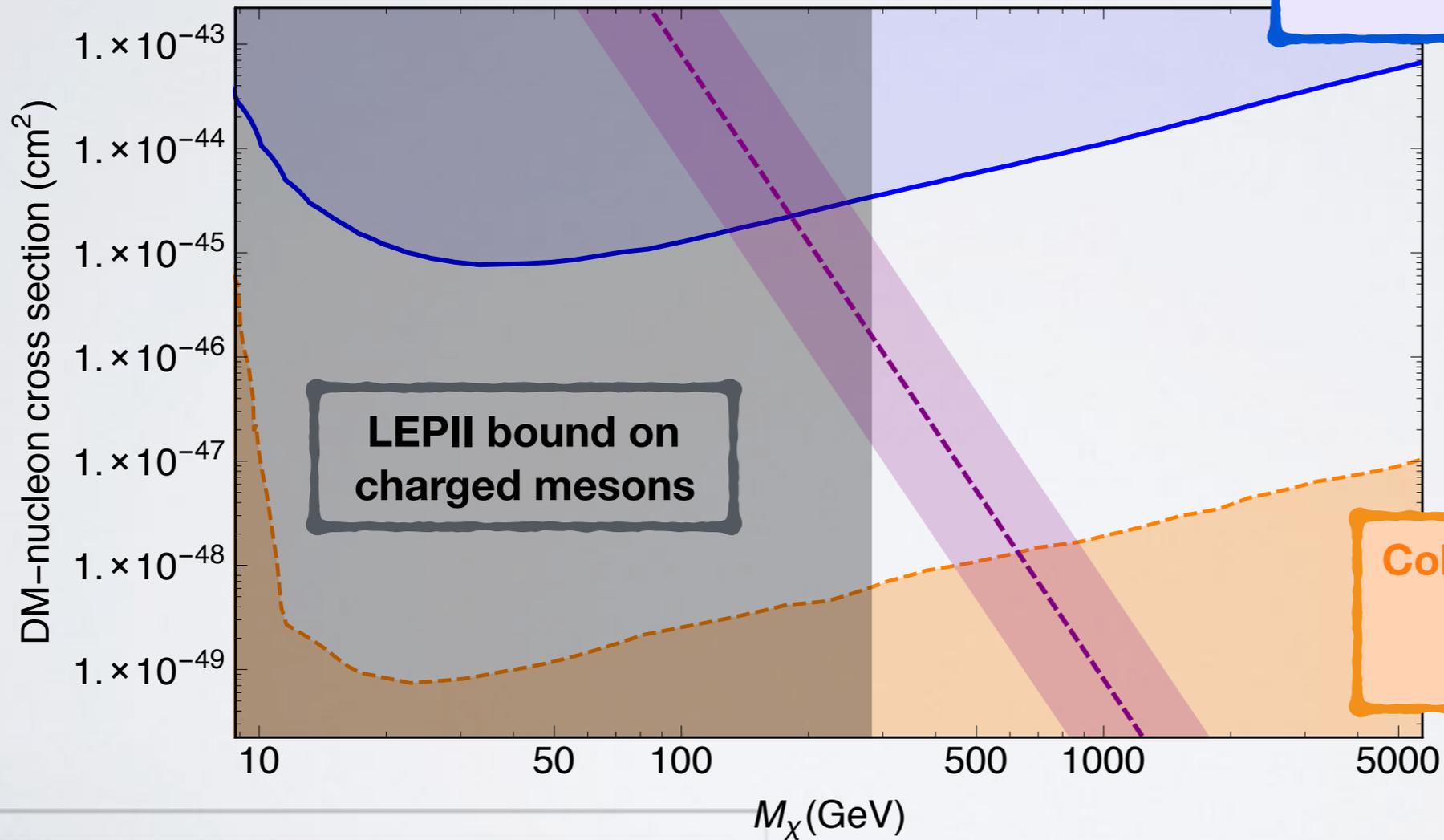
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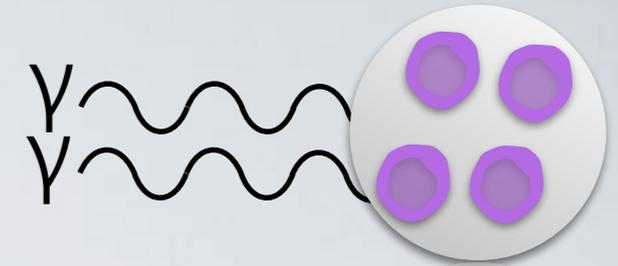


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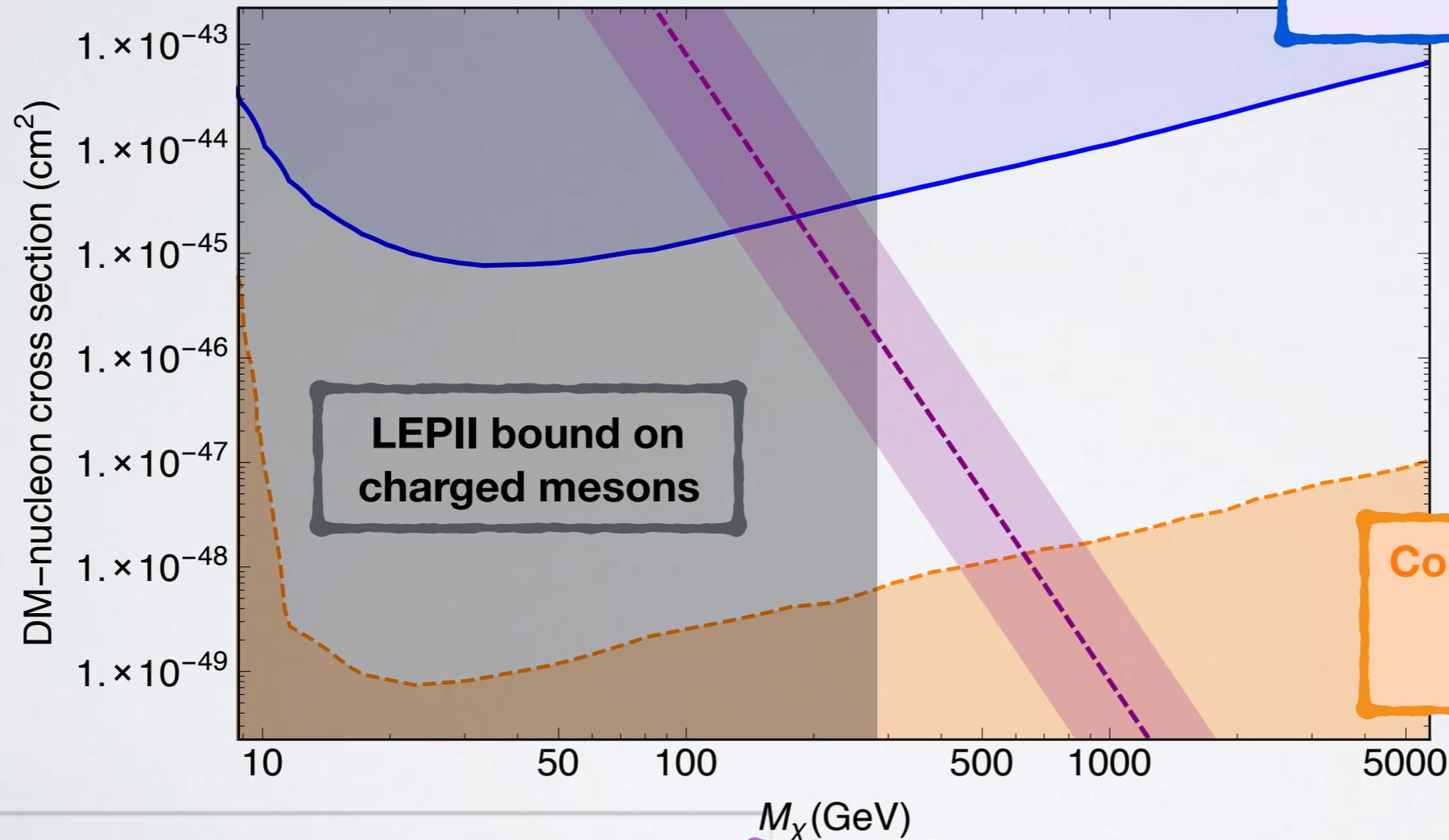
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lowest allowed direct detection cross-section for composite dark matter theories with EW charged constituents

“Stealth Dark Matter” model

[LSD collab., Phys. Rev. D92 (2015) 075030]

- The field content of the model consists in **8 Weyl fermions**
- Dark fermions interact with the SM Higgs and obtain **current/chiral masses**
- Introduce **vector-like masses** for dark fermions that do not break EW symmetry
- Diagonalizing in the mass eigenbasis gives **4 Dirac fermions**
- Assume **custodial SU(2) symmetry** arising when **$u \leftrightarrow d$**

Field	$SU(N)_D$	$(SU(2)_L, Y)$	Q
$F_1 = \begin{pmatrix} F_1^u \\ F_1^d \end{pmatrix}$	\mathbf{N}	$(\mathbf{2}, 0)$	$\begin{pmatrix} +1/2 \\ -1/2 \end{pmatrix}$
$F_2 = \begin{pmatrix} F_2^u \\ F_2^d \end{pmatrix}$	$\overline{\mathbf{N}}$	$(\mathbf{2}, 0)$	$\begin{pmatrix} +1/2 \\ -1/2 \end{pmatrix}$
F_3^u	\mathbf{N}	$(\mathbf{1}, +1/2)$	$+1/2$
F_3^d	\mathbf{N}	$(\mathbf{1}, -1/2)$	$-1/2$
F_4^u	$\overline{\mathbf{N}}$	$(\mathbf{1}, +1/2)$	$+1/2$
F_4^d	$\overline{\mathbf{N}}$	$(\mathbf{1}, -1/2)$	$-1/2$

$$\mathcal{L} \supset + y_{14}^u \epsilon_{ij} F_1^i H^j F_4^d + y_{14}^d F_1 \cdot H^\dagger F_4^u - y_{23}^d \epsilon_{ij} F_2^i H^j F_3^d - y_{23}^u F_2 \cdot H^\dagger F_3^u + h.c.$$

$$\mathcal{L} \supset M_{12} \epsilon_{ij} F_1^i F_2^j - M_{34}^u F_3^u F_4^d + M_{34}^d F_3^d F_4^u + h.c.$$

$$y_{14}^u = y_{14}^d \quad y_{23}^u = y_{23}^d \quad M_{34}^u = M_{34}^d$$

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$$y_{14}^u = y_{14}^d \quad y_{23}^u = y_{23}^d \quad M_{34}^u = M_{34}^d$$

COME UN CACCIA INVISIBILE AI RADAR

+1 1 | Tweet 7 | Share 215

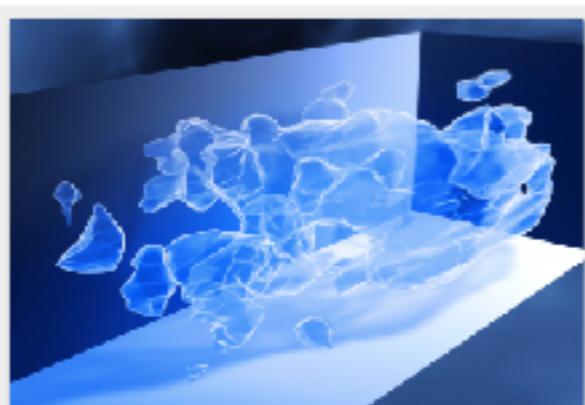
Materia oscura "stealth"

Quark oscuri tenuti insieme da un'interazione forte a sua volta oscura. Ecco come la dark matter riuscirebbe a eludere a ogni tentativo d'incastriarla. Enrico Rinaldi (LLNL): «Esiste la possibilità che questo "mondo oscuro", con le sue nuove particelle, possa essere rivelato dagli esperimenti in corso al Large Hadron Collider al CERN di Ginevra»

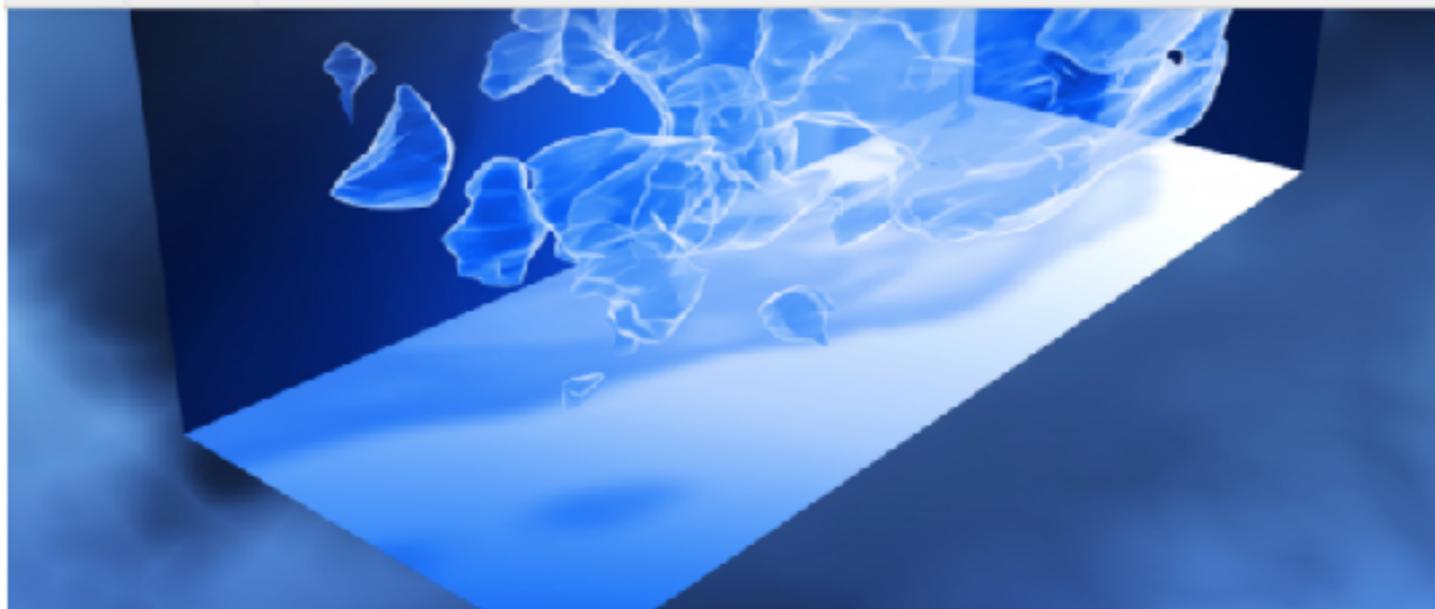
di Marco Malaspina | Segui @malaspina

venerdì 25 settembre 2015 @ 16:15

Stealth come furtiva. *Stealth* come imprevedibile. *Stealth* come quei minacciosi aerei da guerra dal profilo sagomato così da essere invisibili al radar. Da quanto emerge dai calcoli dei fisici dell'LLNL, il Lawrence Livermore National Laboratory californiano, e dai modelli dati in pasto a Vulcan (un supercomputer per il calcolo parallelo in grado di masticare numeri al ritmo del *peraflop*), sarebbe questa la natura della materia oscura: *stealthy*, appunto. Per forza non c'è ancora esperimento che sia riuscito a incastrarla.



Mappa 3D della distribuzione su larga scala della materia oscura ricostruita da misure di lente gravitazionale debole utilizzando il telescopio spaziale Hubble



This 3D map illustrates the large-scale distribution of dark matter, reconstructed from measurements of weak gravitational lensing by using the Hubble Space Telescope. (Download Image)

New 'stealth dark matter' theory may explain mystery of the universe's missing mass



Lawrence Livermore National Laboratory (LLNL) scientists have come up with a new theory that may identify why dark matter has evaded direct detection in Earth-based experiments.

Anne M Stark
stark8@llnl.gov
925-422-9799

Detecting Stealth Dark Matter Directly through Electromagnetic Polarizability.

Overview of attention for article published in Physical Review Letters, October 2015



About this score

In the top 5% of all research outputs scored by Altmetric

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SUMMARY

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Title Detecting Stealth Dark Matter Directly through Electromagnetic Polarizability.
Published in Physical Review Letters, October 2015
DOI 10.1103/physrevlett.115.171803
Pubmed ID 26551103
Authors T. Appelquist, E. Berkowitz, R. C. Broder, M. I. Buchhoff, G. T. Fleming, X.-Y. Jin, J. Kiskis, G.D...
Abstract We calculate the spin-independent scattering cross section for direct detection that results from...

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Le Scienze

EDIZIONE ITALIANA DI SCIENTIFIC AMERICAN

LA RIVISTA IN EDIZIONE

Materia oscura
Nuove ipotesi su una misteriosa componente ancora più bizzarra
In edicola dal 1° ottobre

ABBONAMENTI E INFO

ZOOM SU comportamento | cosmologia | neuroscienze | alimentazione

iflammenco! Festival Flamenco 5-11 ottobre

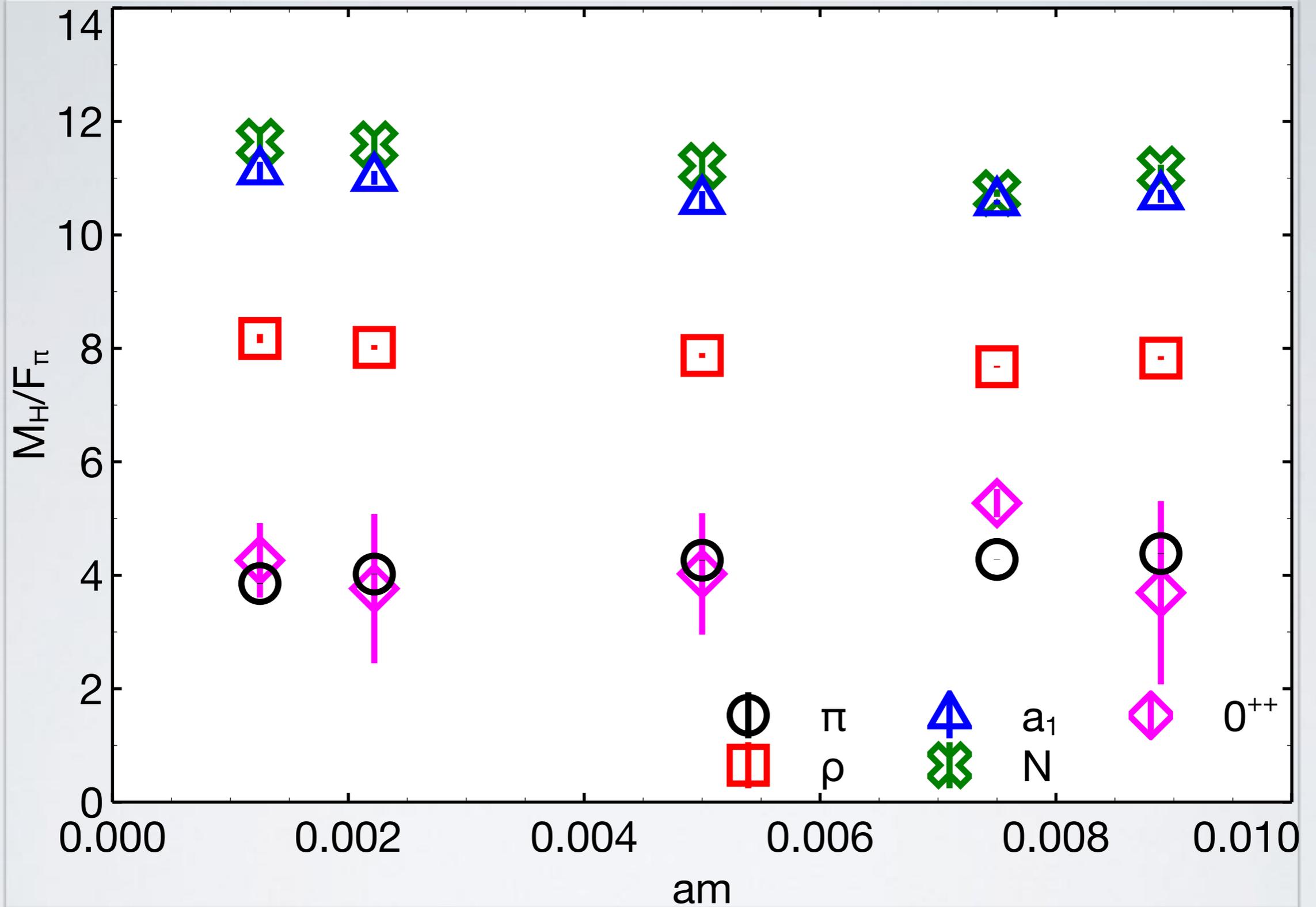
28 settembre 2015

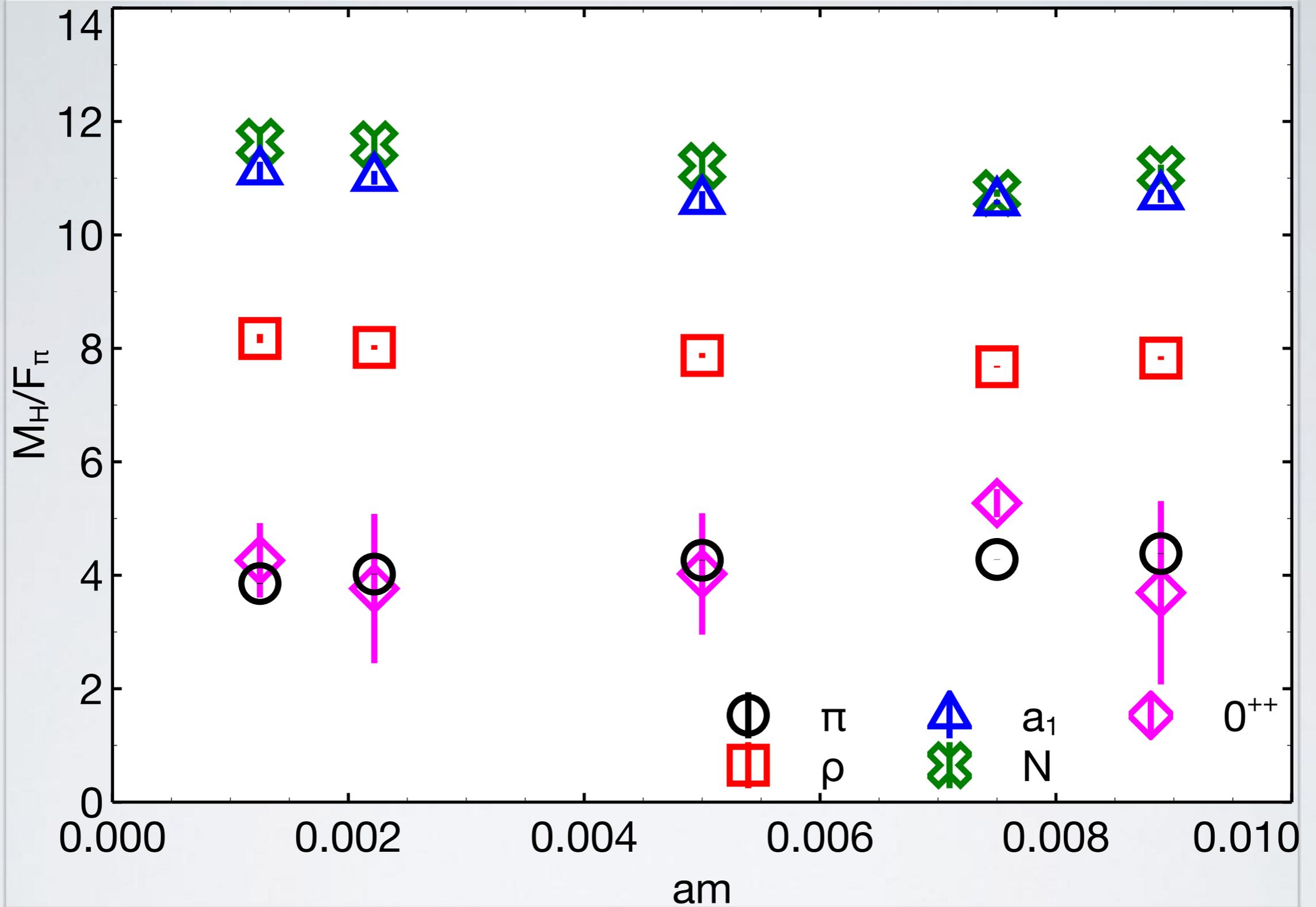
Un nuovo modello per la materia oscura



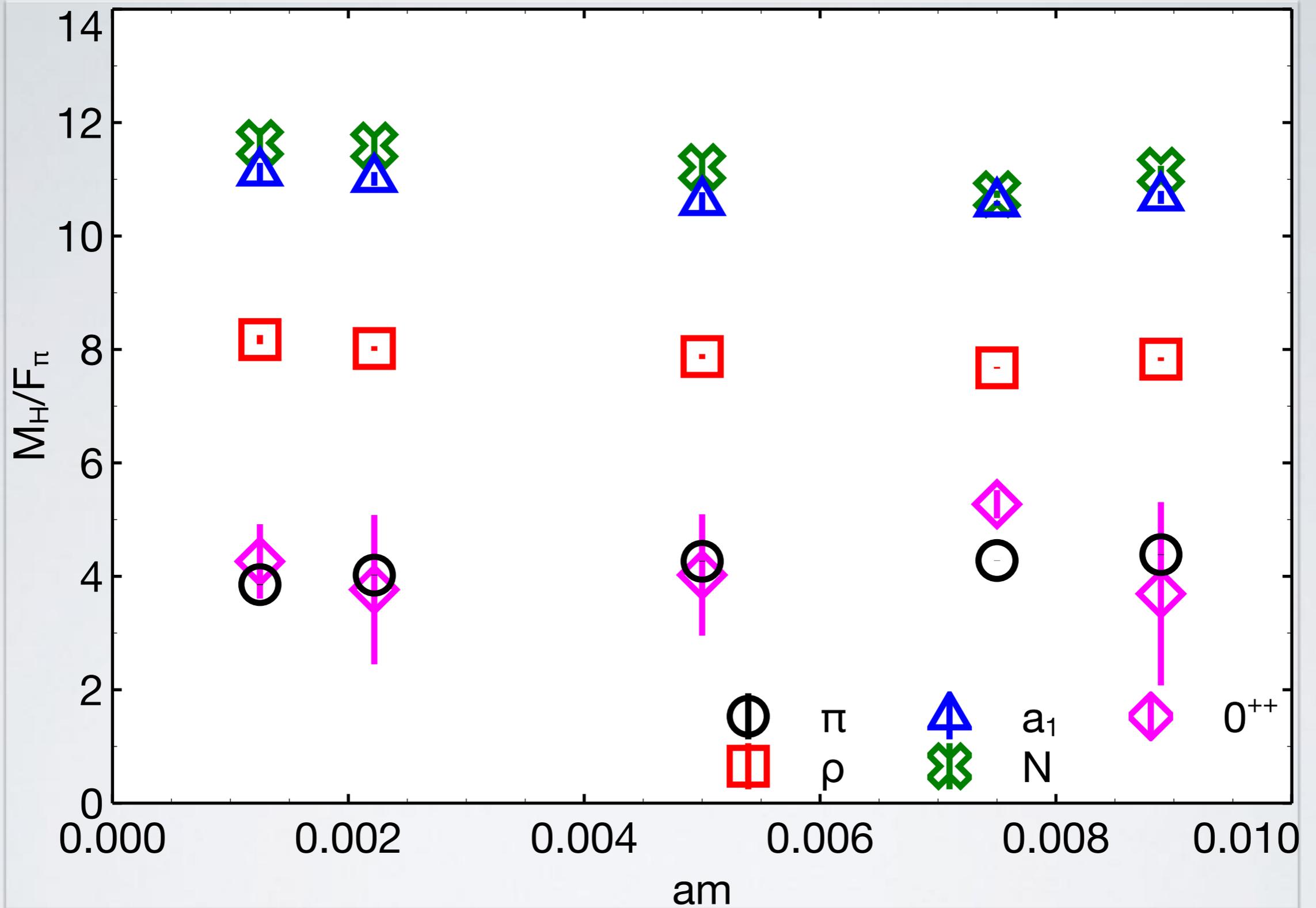
© Lawrence Livermore National Laboratory

Questa forma misteriosa di materia potrebbe avere una struttura composita come la materia ordinaria, con "quark oscuri" aggregati e tenuti insieme da un analogo della forza che permette ai normali nuclei di rimanere stabili. I componenti di questo tipo di materia oscura, definita *stealth matter*, potrebbero essere studiati in modo indiretto dal collisore Large Hadron Collider del CERN di Ginevra.





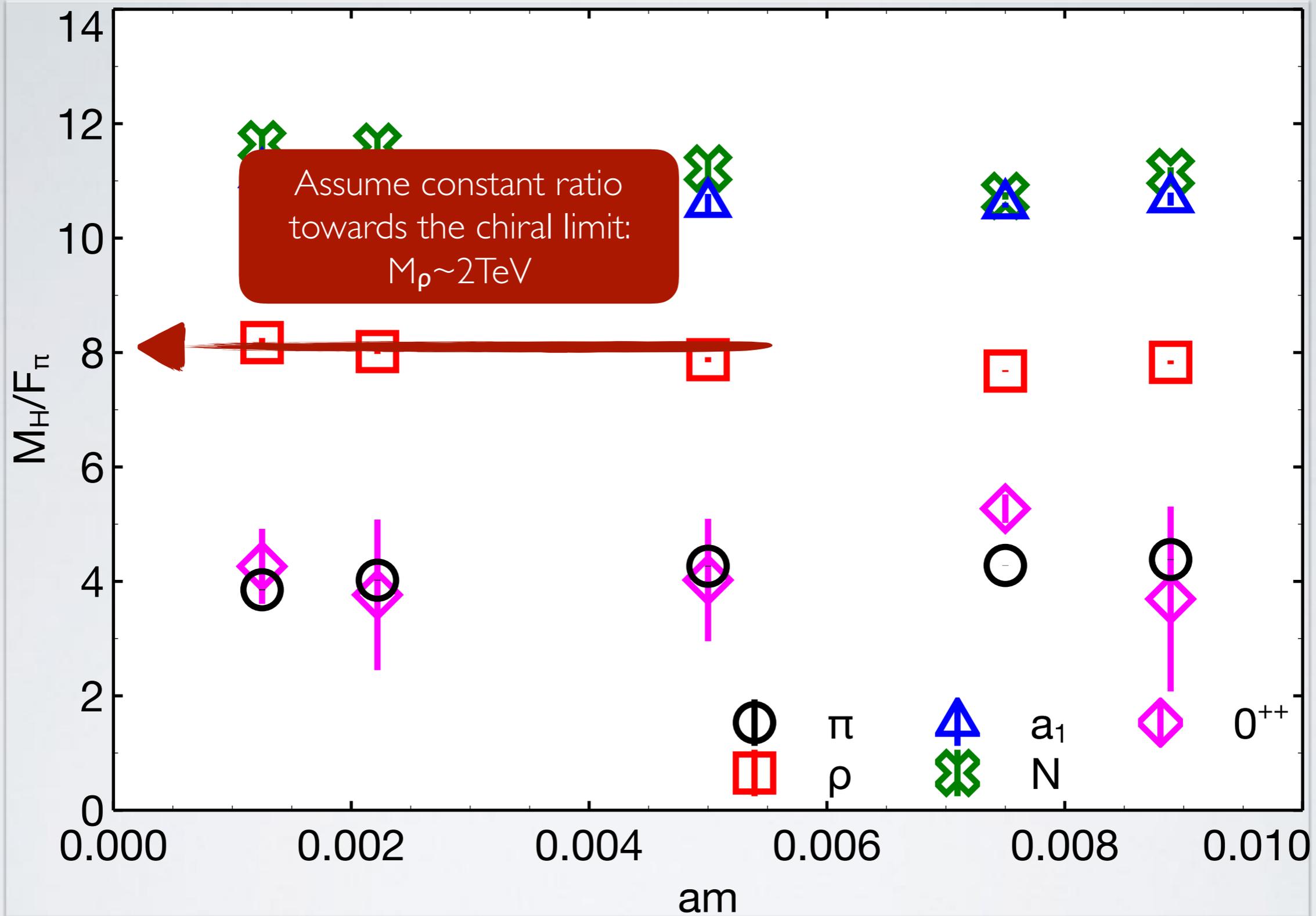
Similar to
QCD?



Similar to
QCD?

LSD arxiv:1601.04027 [scalar update, preliminary]

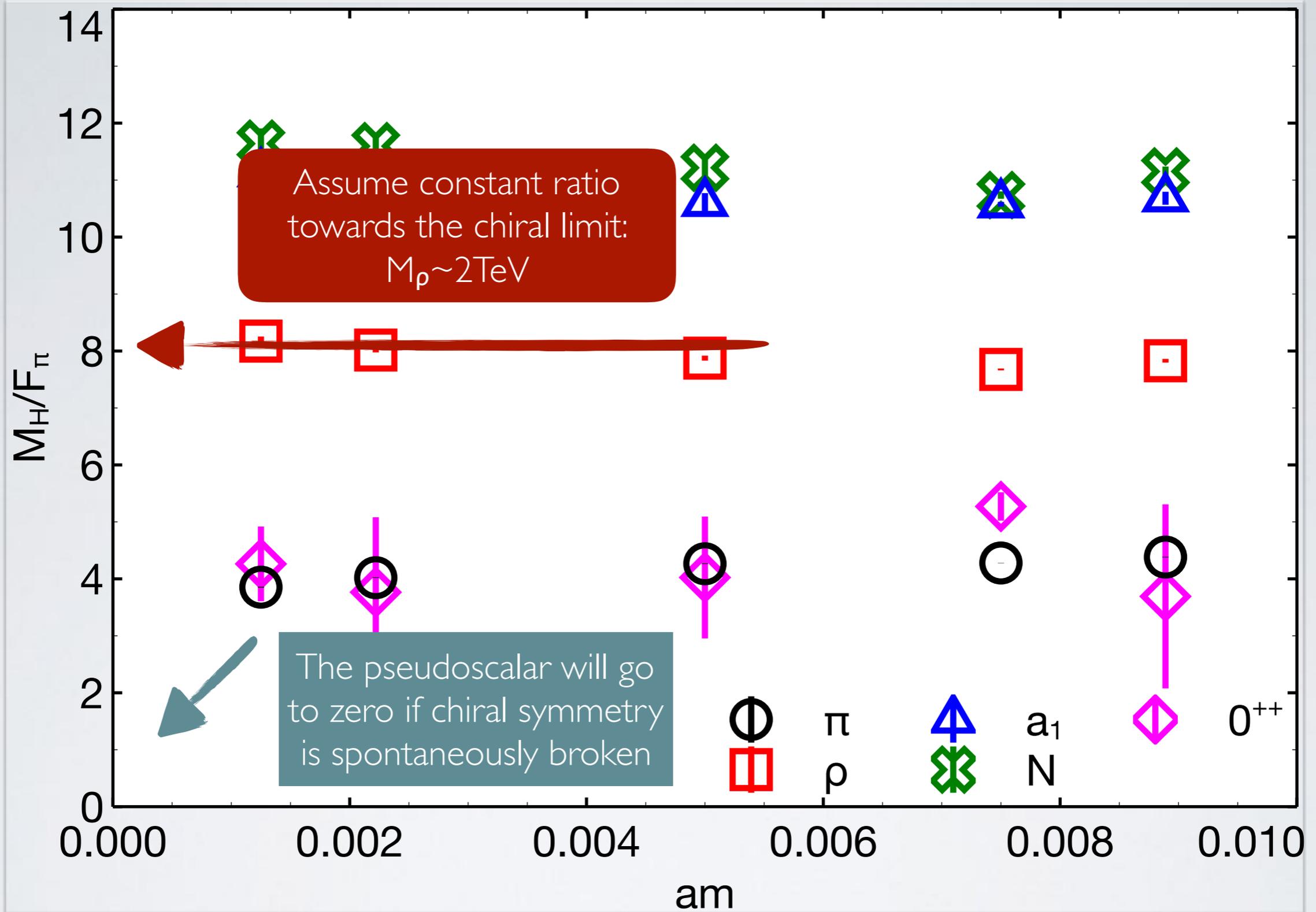
Assume
 $F_\pi \sim 246 \text{ GeV}$



Similar to QCD?

LSD arxiv:1601.04027 [scalar update, preliminary]

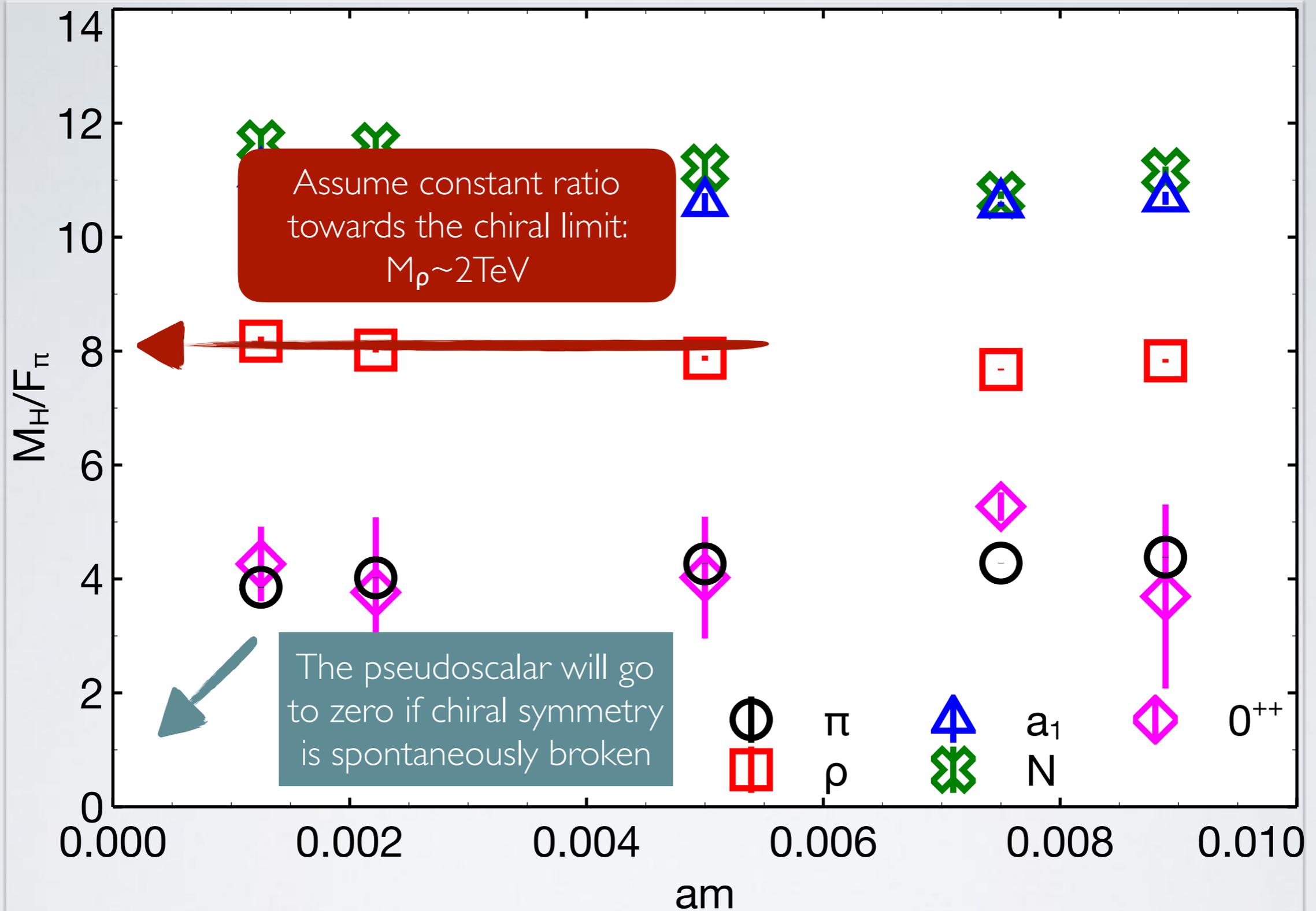
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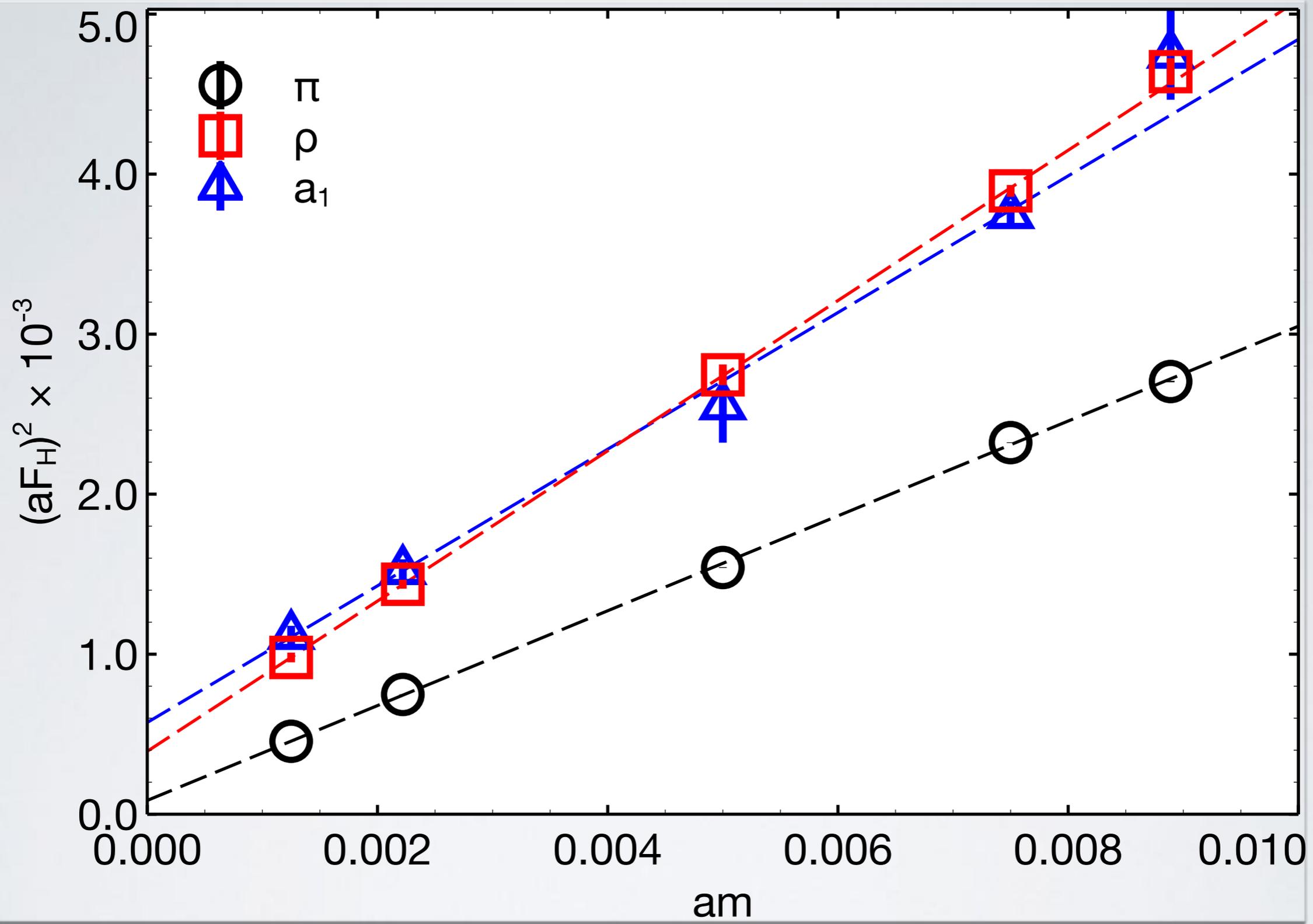


Important again: extrapolate towards the chiral limit using an appropriate effective low-energy theory

LSD arxiv:1601.04027 [scalar update, preliminary]

Assume
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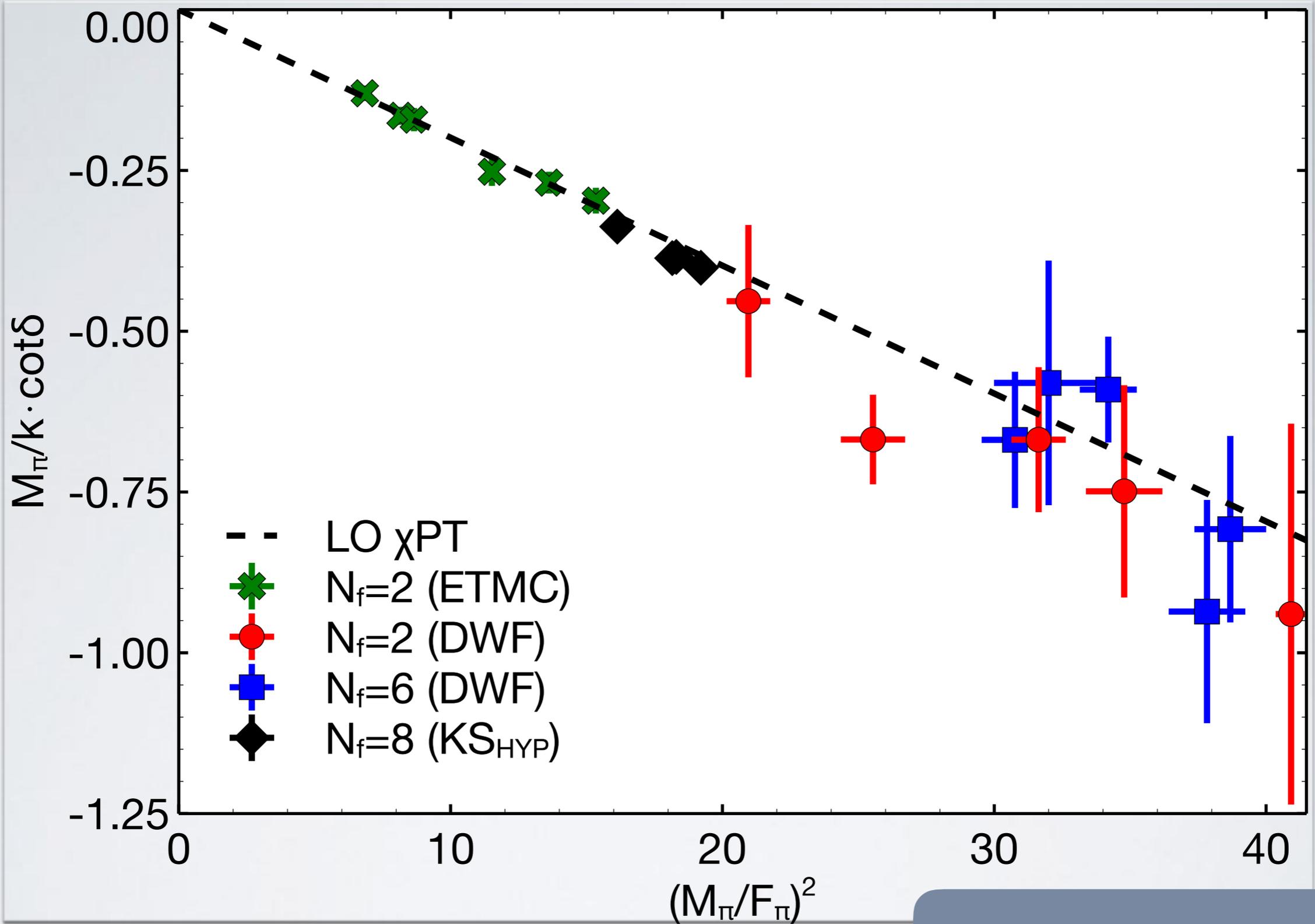
Similar to
QCD?



Useful to study vector meson width in the VMD picture

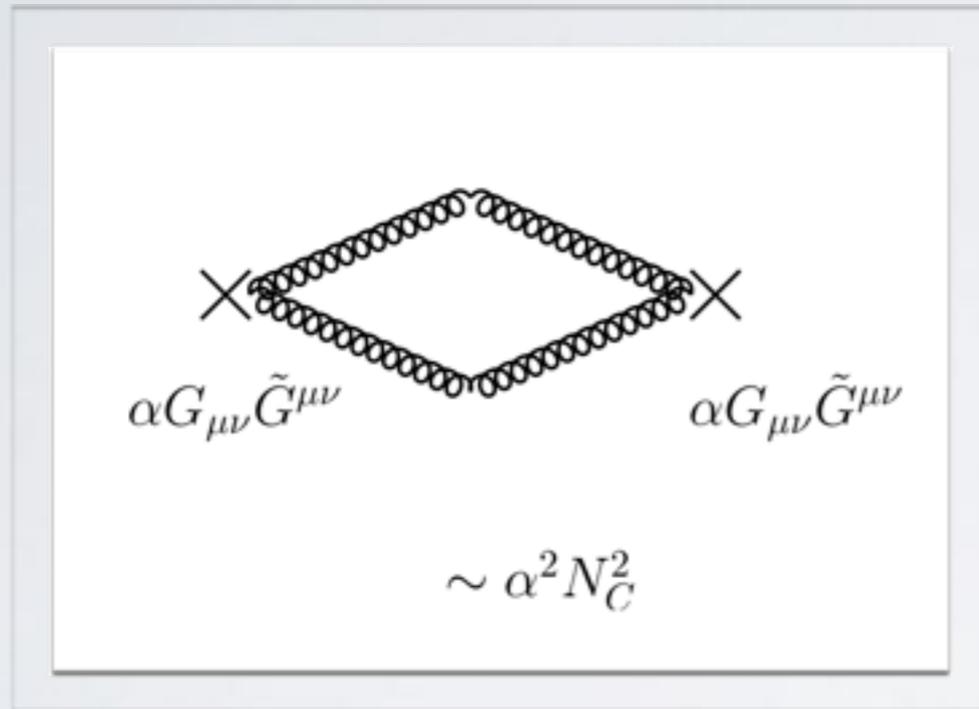
LSD arxiv:1601.04027

Useful to study EFT predictions
 [Appelquist et al. 1702.04410]

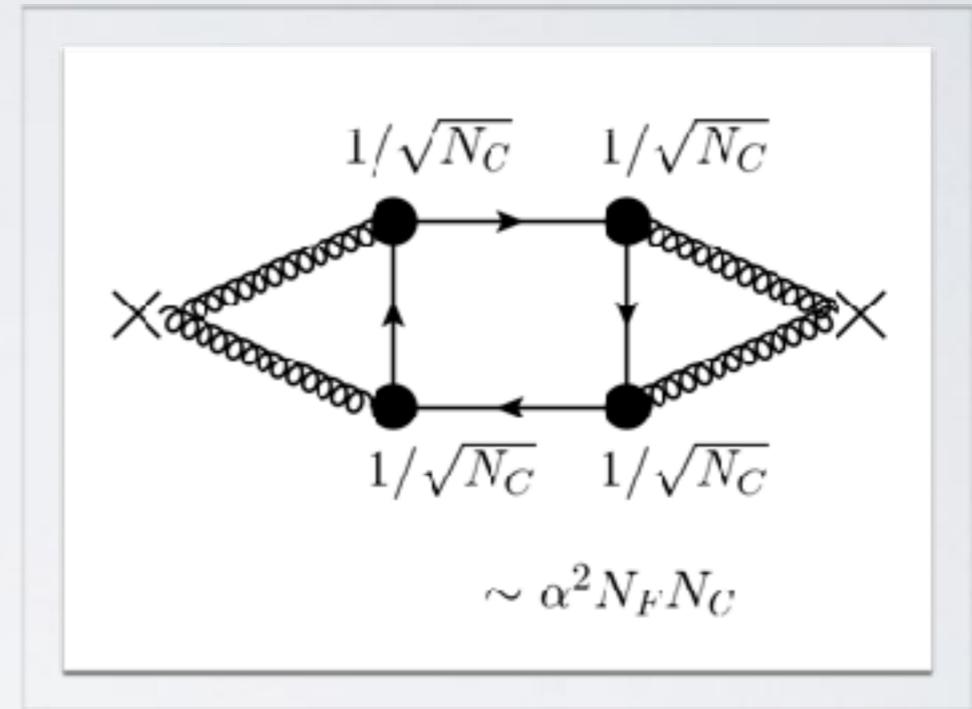


Scattering observables are useful to constrain EFT terms

WITTEN-VENEZIANO



gluon loop



fermion loop

Regular Witten-Veneziano

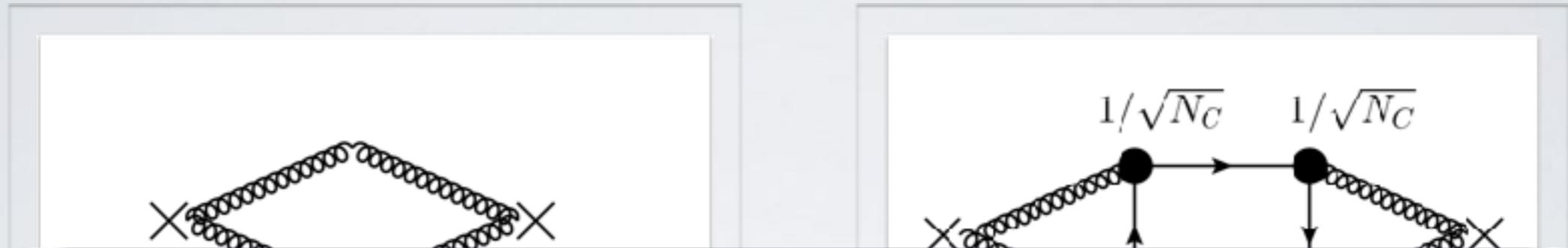
$$\frac{N_f}{N_c} \ll 1$$

$$\lambda = N_c g^2 = \text{fixed} \quad N_c \rightarrow \infty$$

“anti-”Witten-Veneziano

$$\frac{N_f}{N_c} \gg 1$$

WITTEN-VENEZIANO



lattice results seem to align with expectations from ladder-SD analyses [arxiv:1508.07688]: a flavor-singlet scalar in a near conformal theory is light similarly to a flavor-singlet pseudoscalar in the Witten-Veneziano limit, but a flavor-singlet pseudoscalar is heavier in the “anti”-Witten-Veneziano limit (large N_f/N_c)

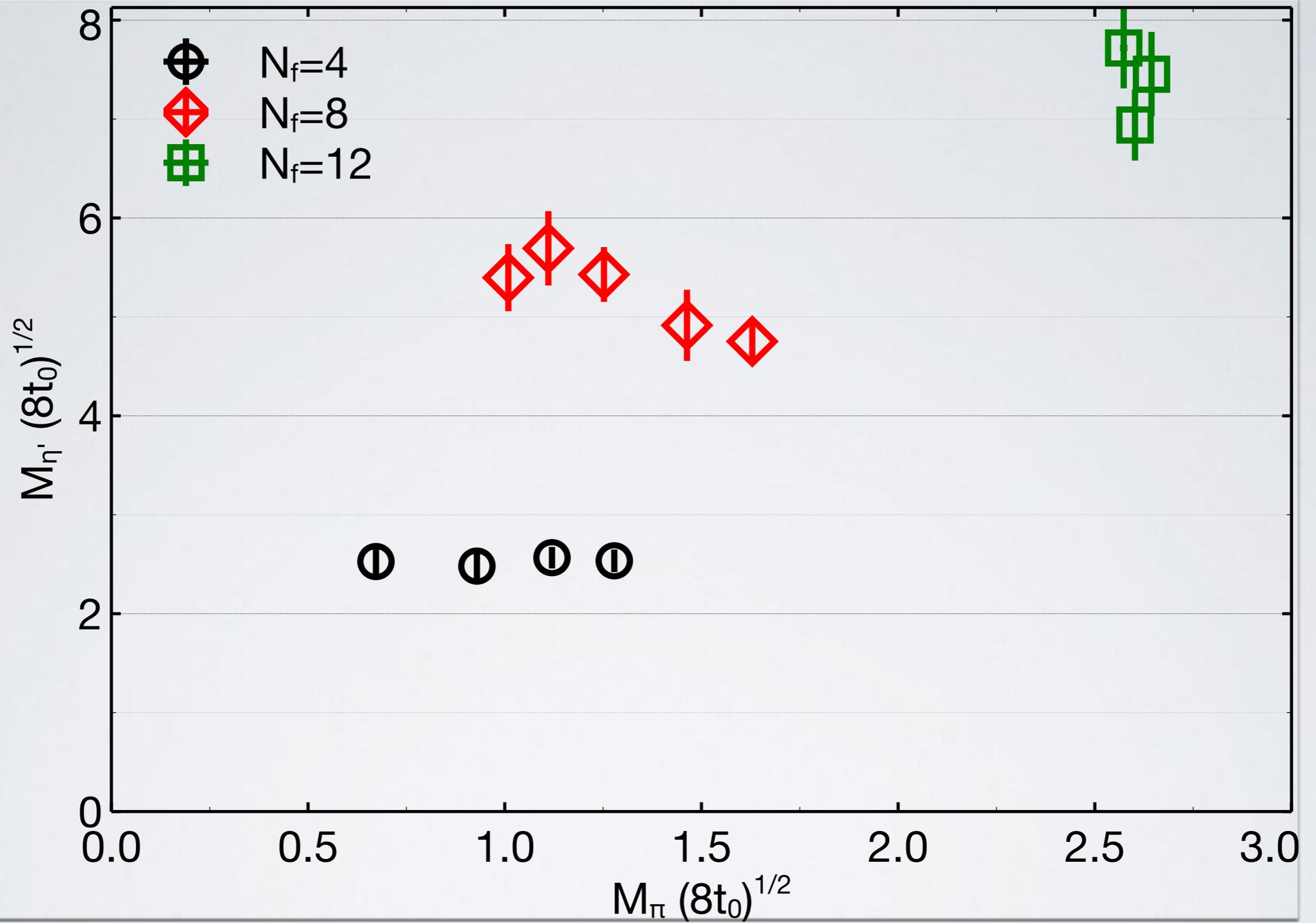
Regular Witten-Veneziano

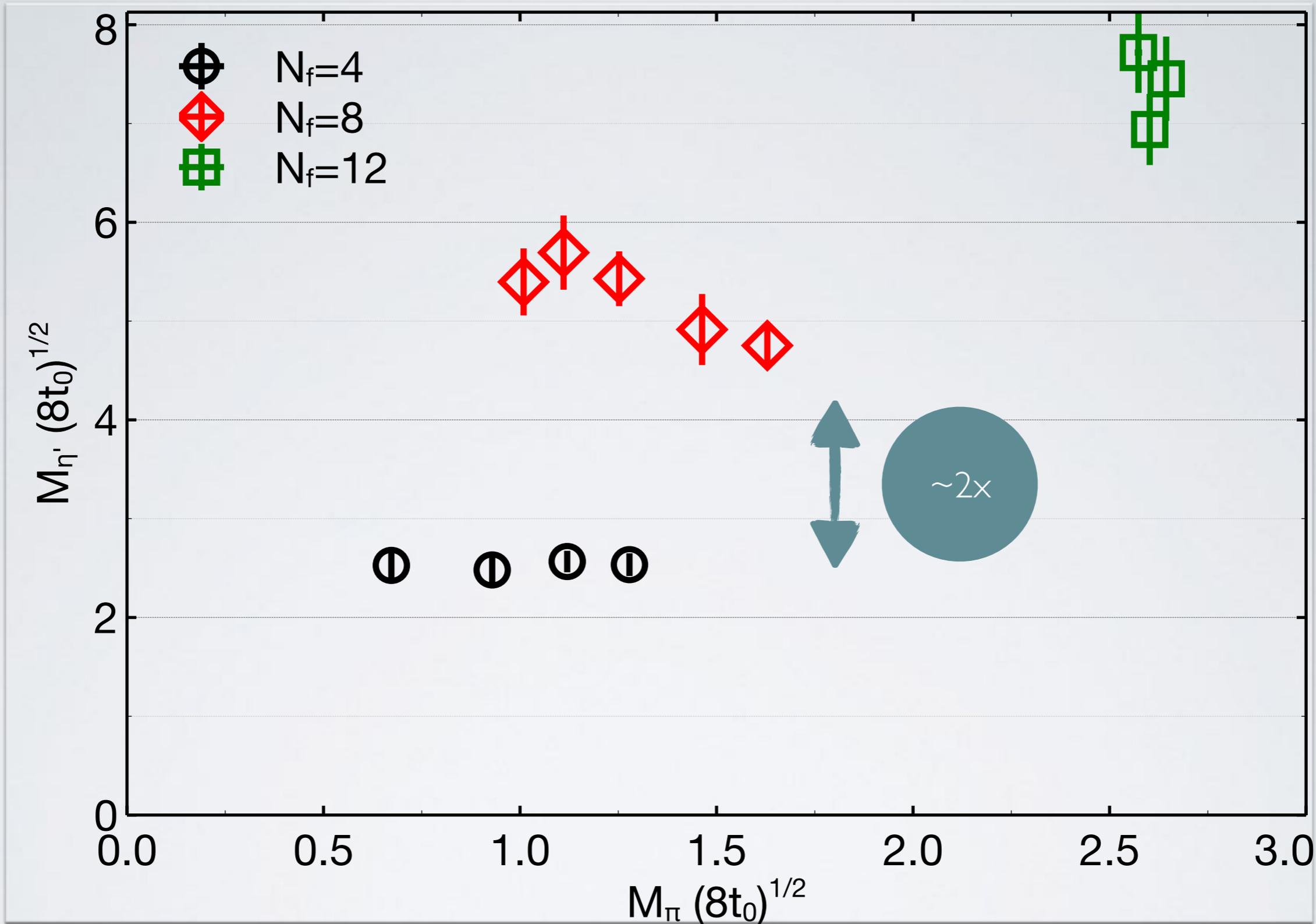
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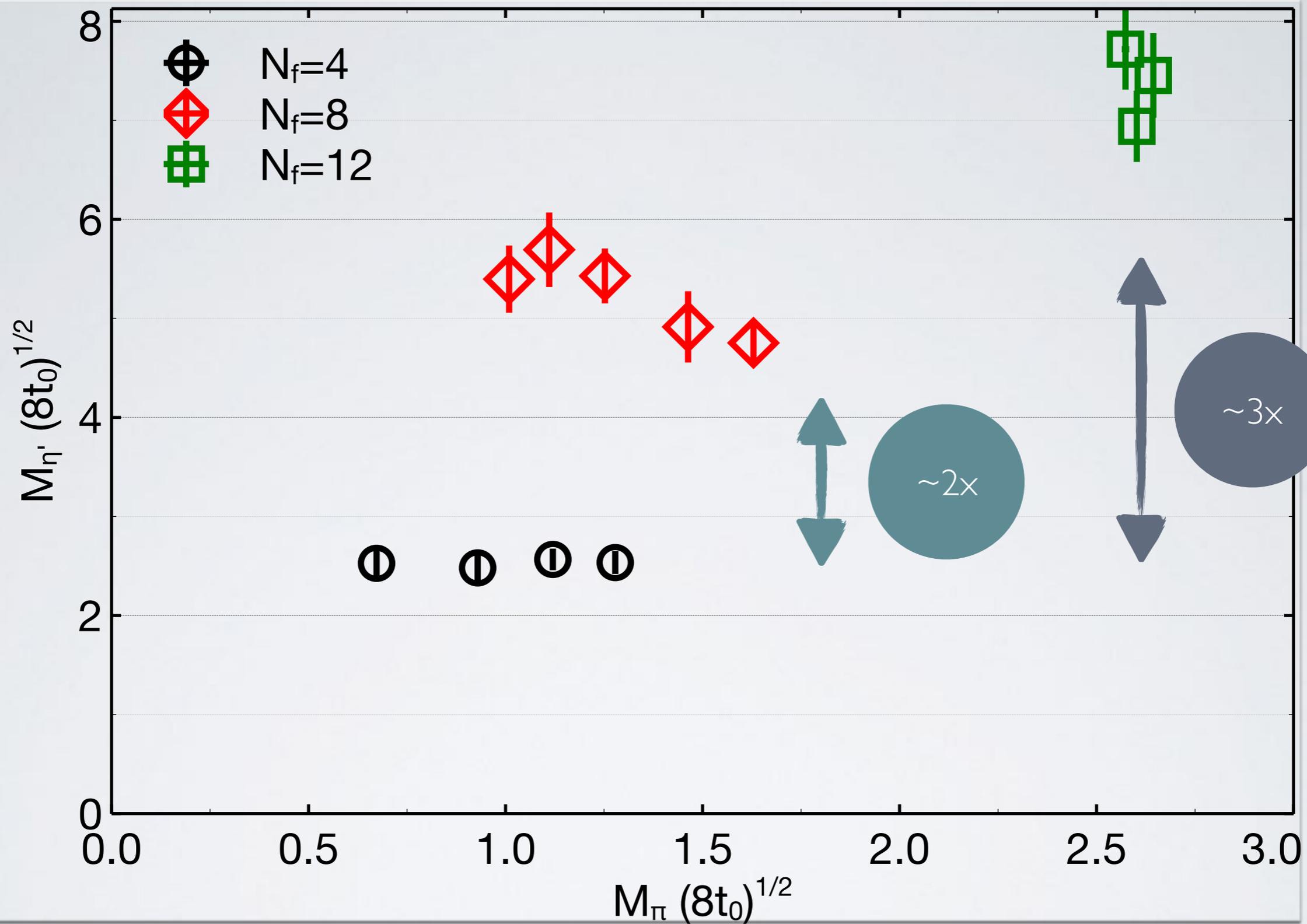
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$$\frac{N_f}{N_c} \gg 1$$

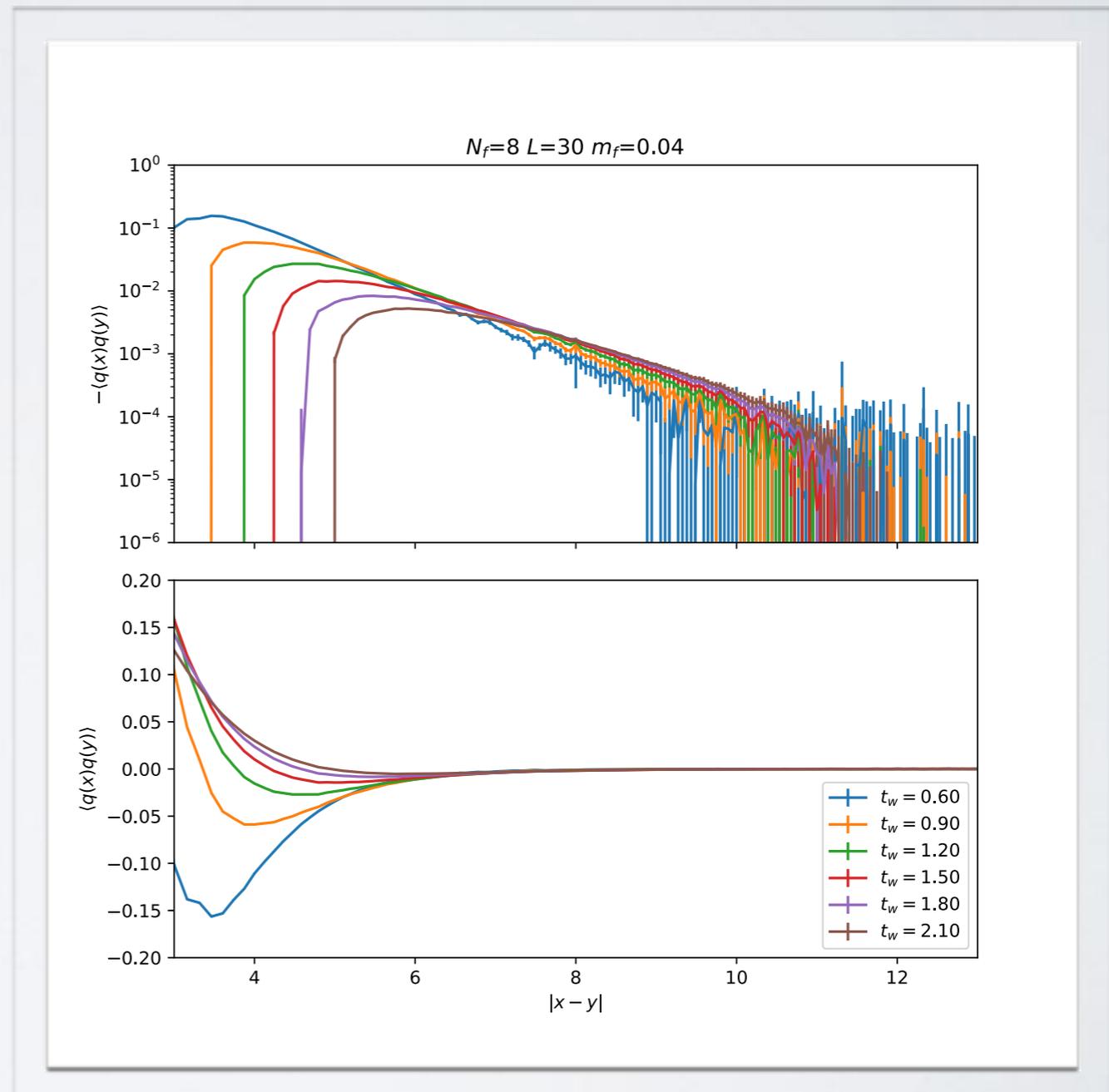






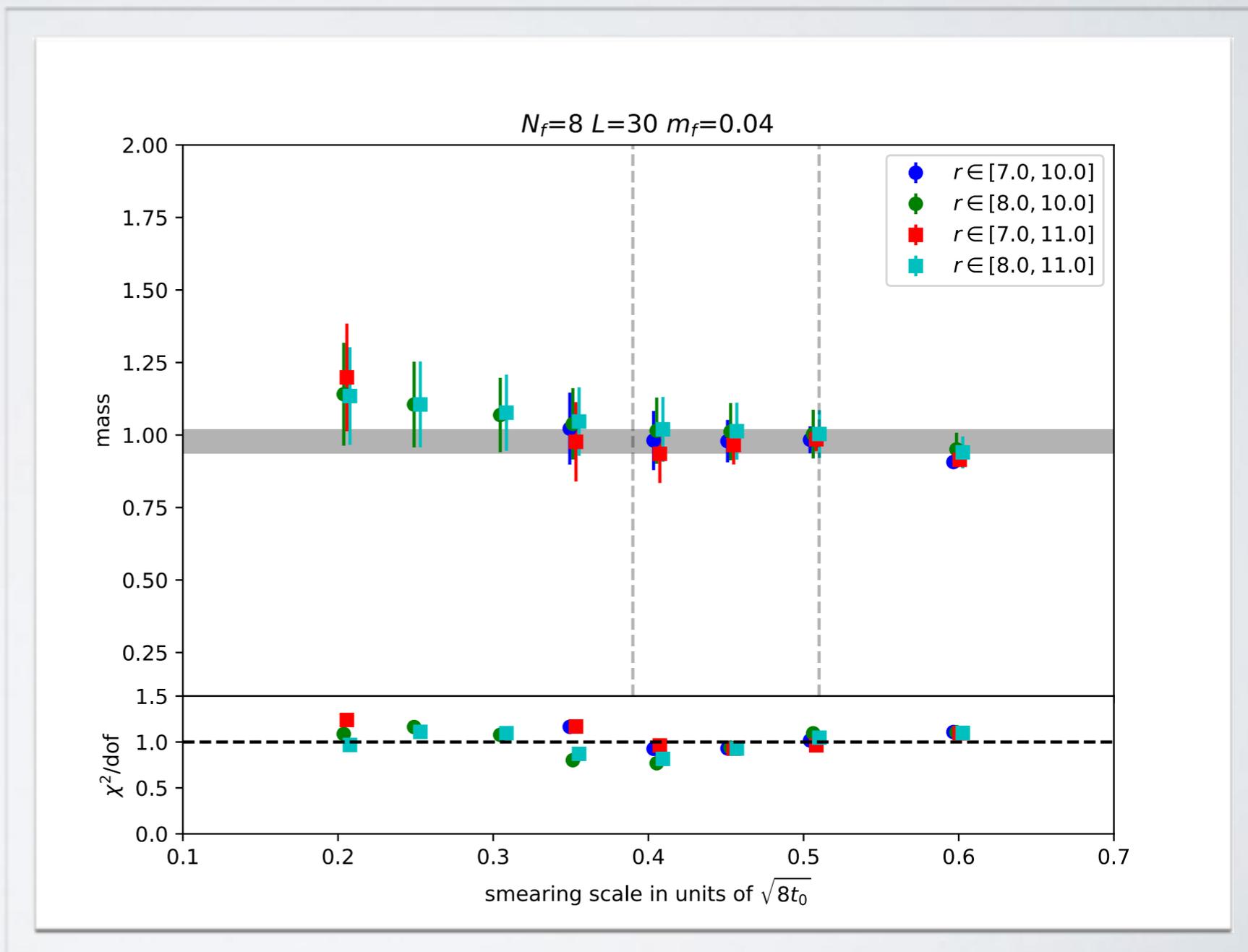
METHODOLOGY FOR 0^{-+}

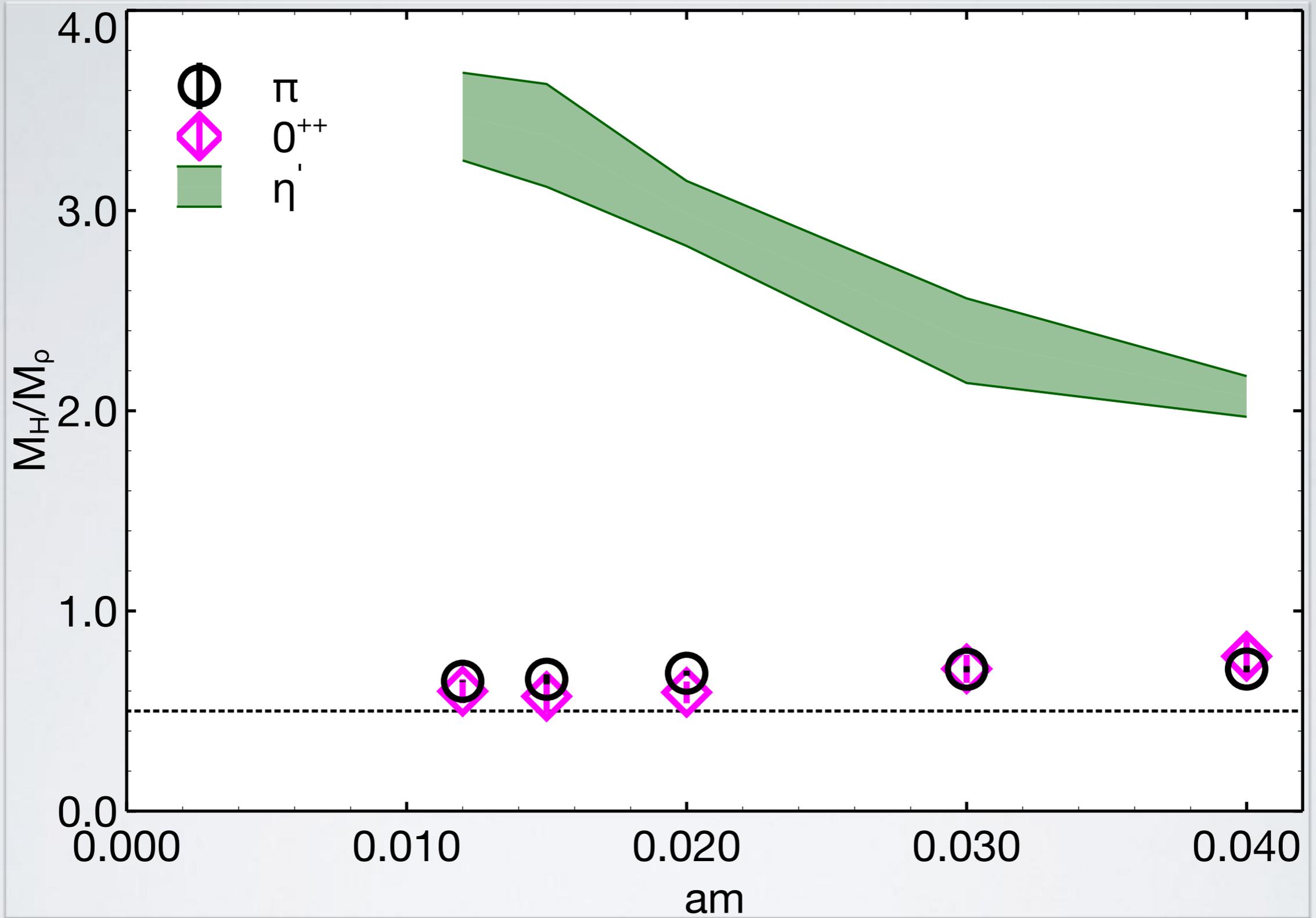
- Use a **gluonic operator** with 0^{-+} quantum numbers: topological charge density
- Use **Wilson flow smearing** as a technique to ameliorate the signal-to-noise problem
- Entirely similar to previous studies in SU(3) YM [arxiv: 1409.6459] and QCD [arxiv: 1509.00944]
- Main difficulty is estimating the systematics due to smearing and excited states

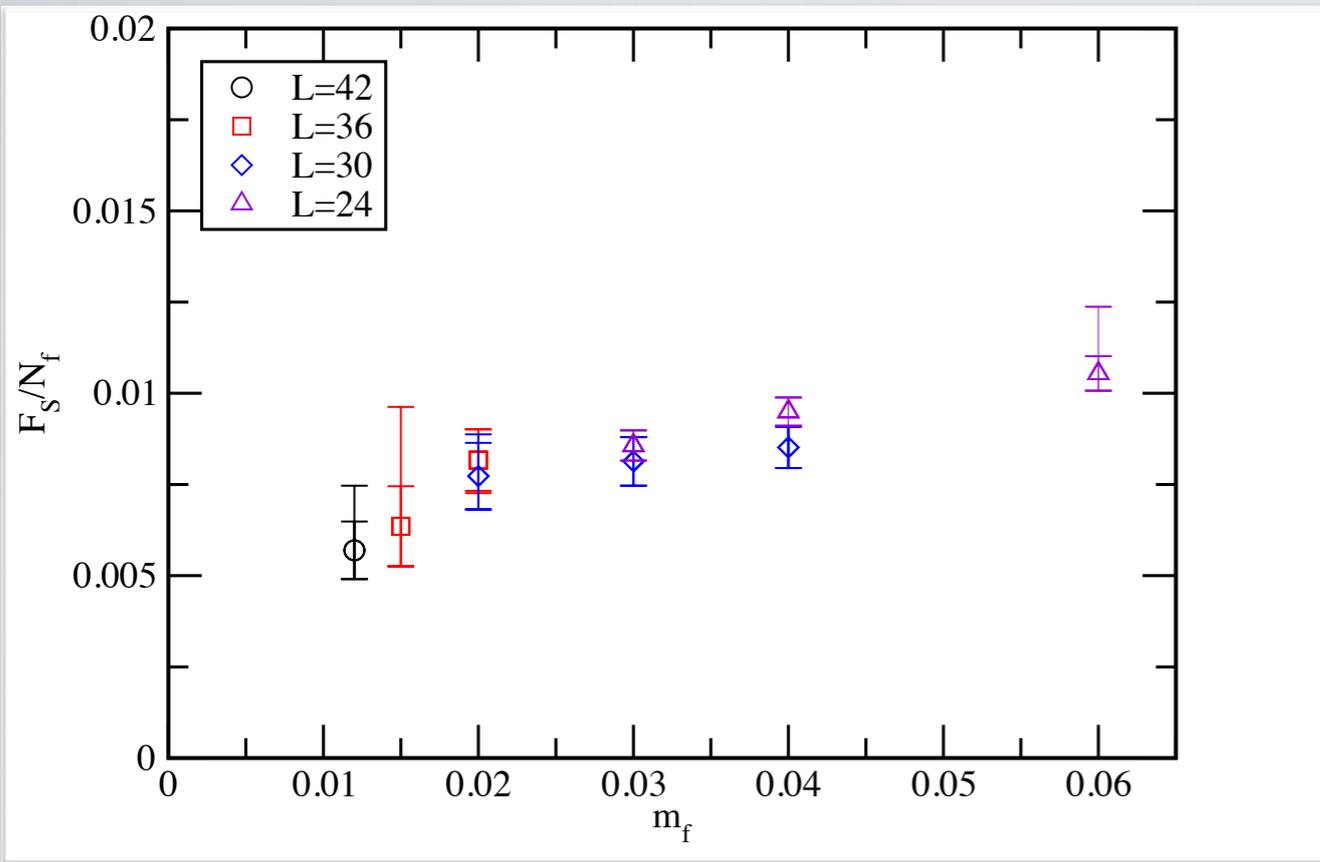


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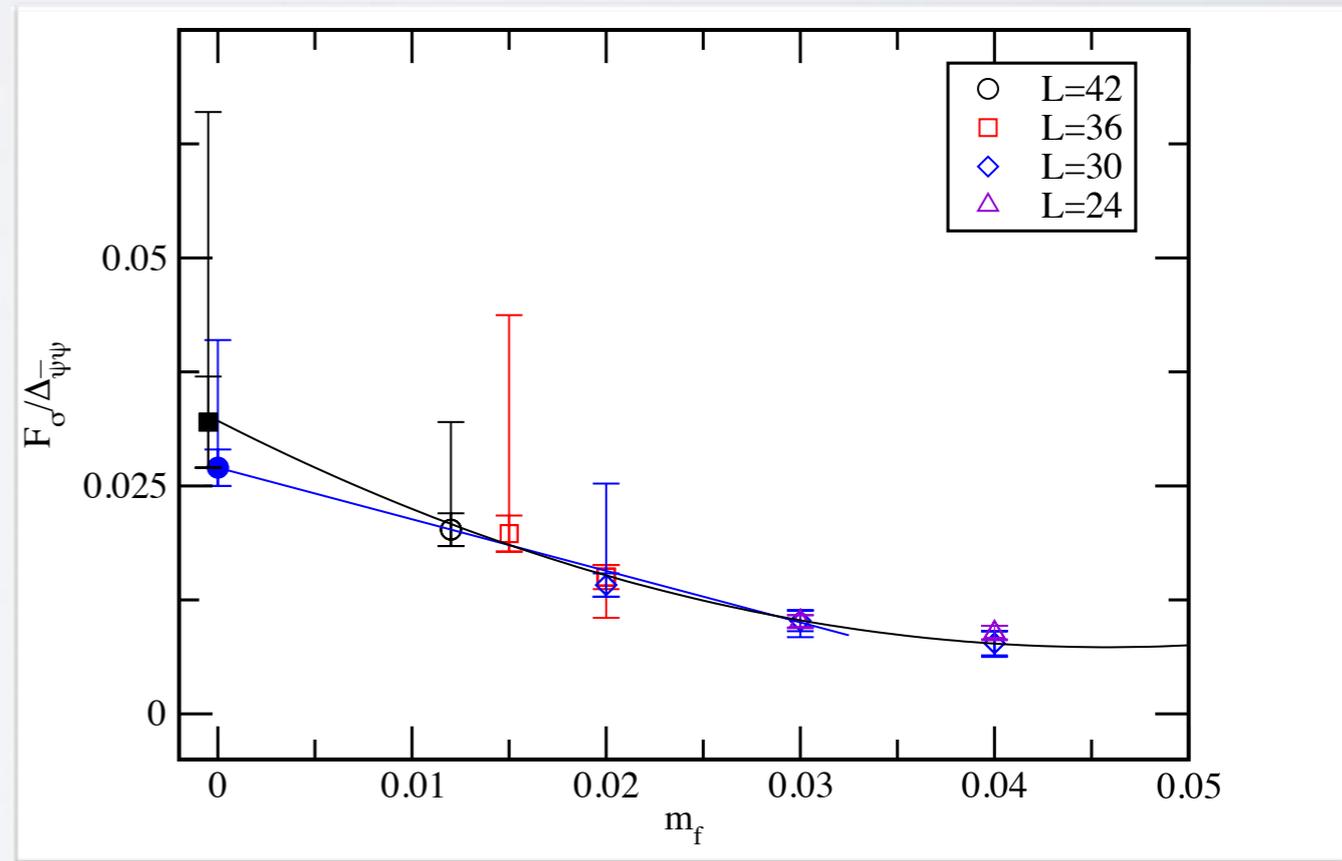


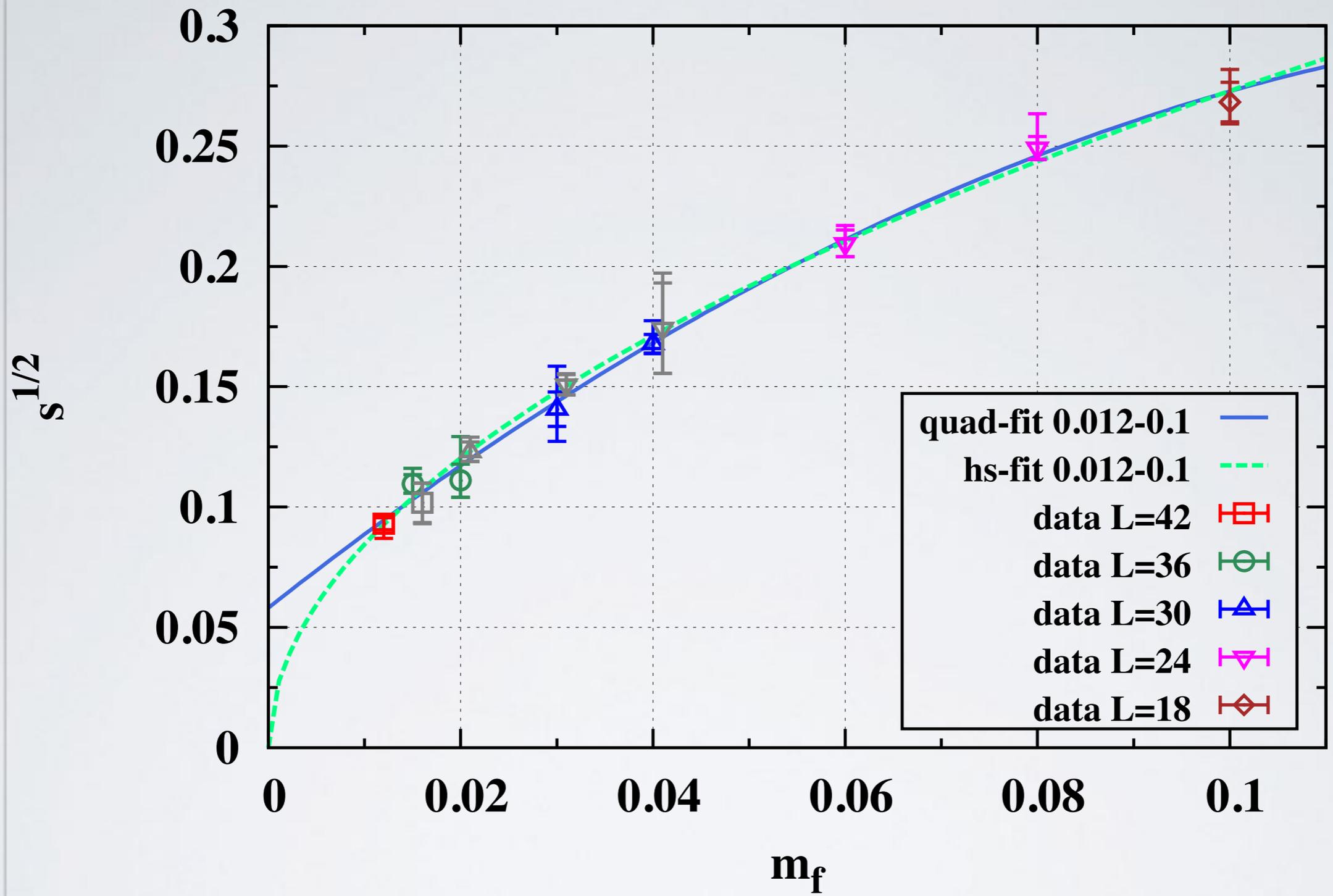


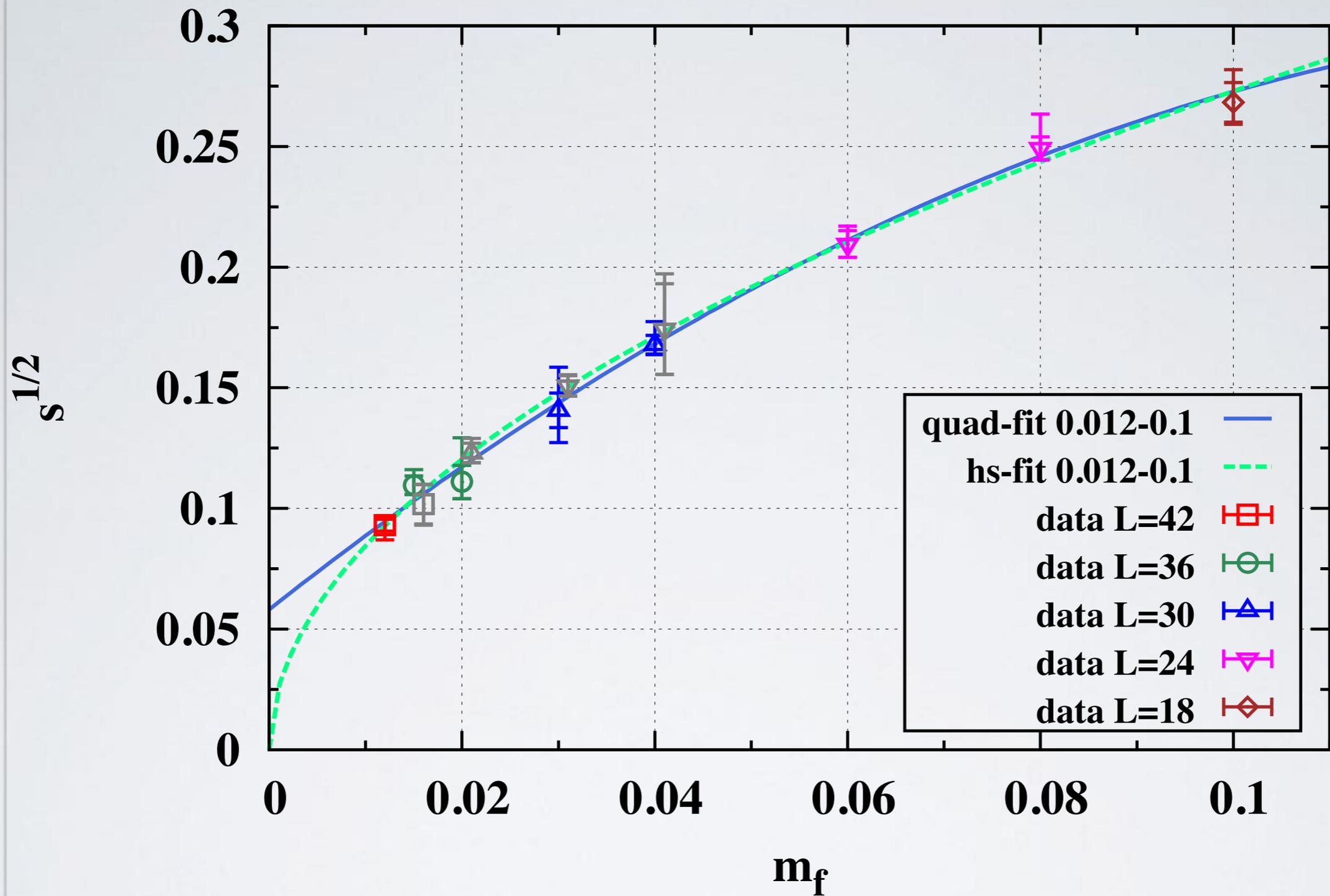


$$\langle 0 | m_f O_S(0,0) | \sigma(0) \rangle = F_S M_\sigma^2$$

$$F_S F_\sigma M_\sigma^2 = -\Delta_{\bar{\psi}\psi} m_f \sum_i^{N_f} \langle \bar{\psi}_i \psi_i \rangle$$

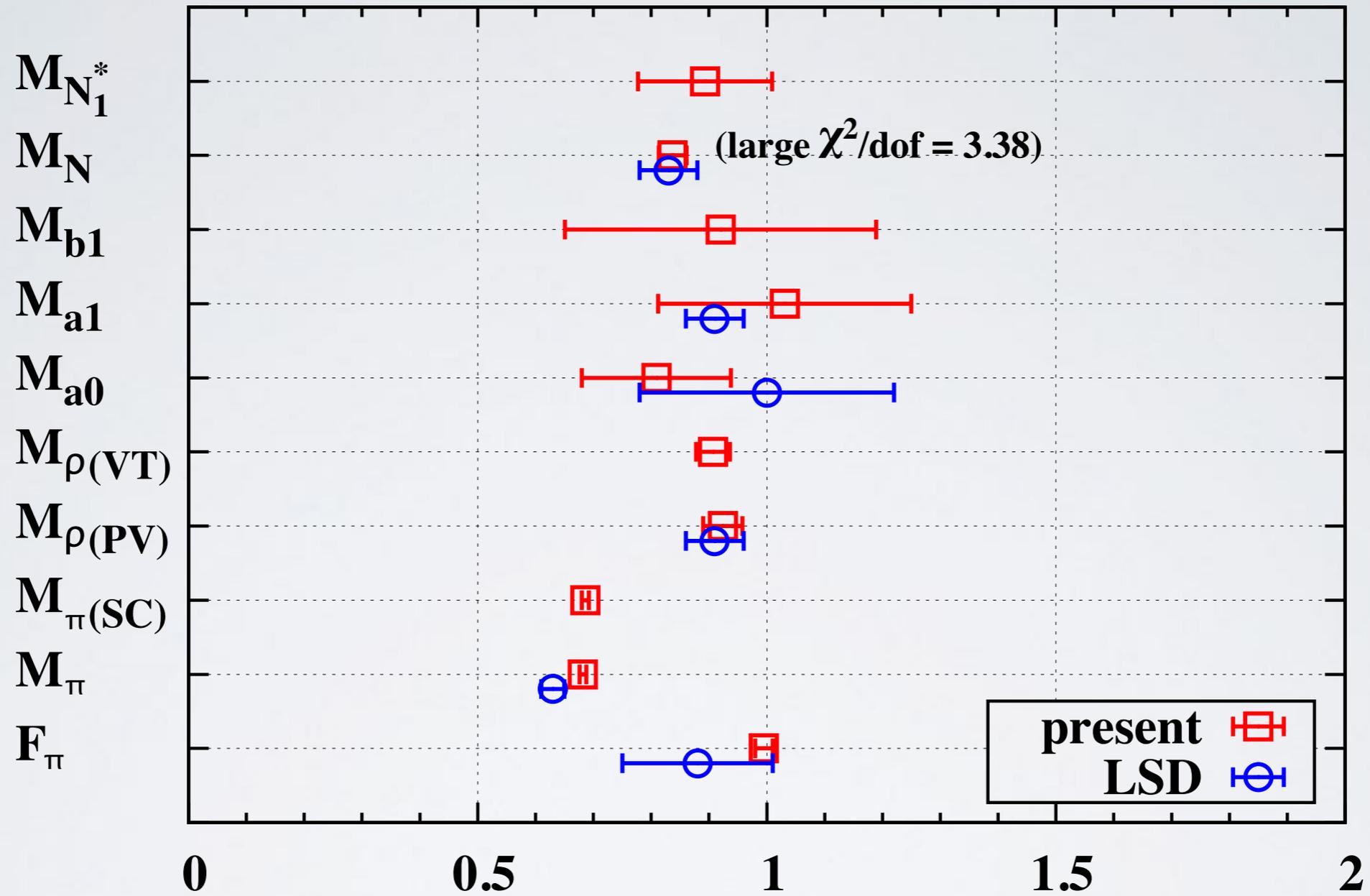




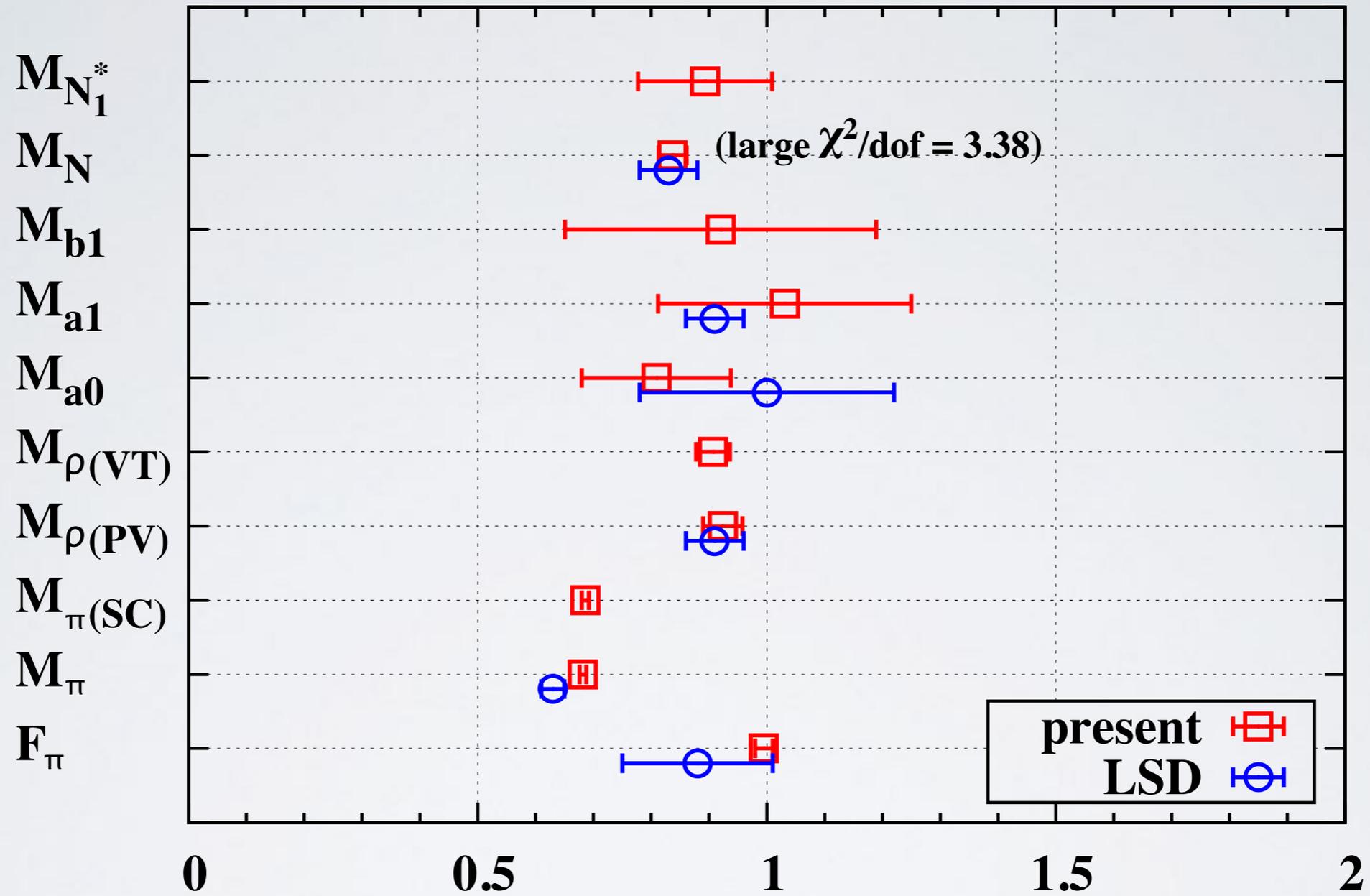


Not able to distinguish between hyper scaling fit with $\gamma \sim 0.96(6)$ and quadratic fit with finite intercept $\neq 0$

Fit: $M_H = C^{M_H} m_f^{1/(1+\gamma)}$, $m_f = 0.012 - 0.03$



Fit: $M_H = C^{M_H} m_f^{1/(1+\gamma)}$, $m_f = 0.012 - 0.03$



All the states studied in the spectrum have $\gamma \sim 1$ except for the pseudoscalar.
 Comparison with different lattice discretizations: staggered and domain wall fermions