

# $\nu$ -lines produced by DM: a model building perspective for neutrino telescopes

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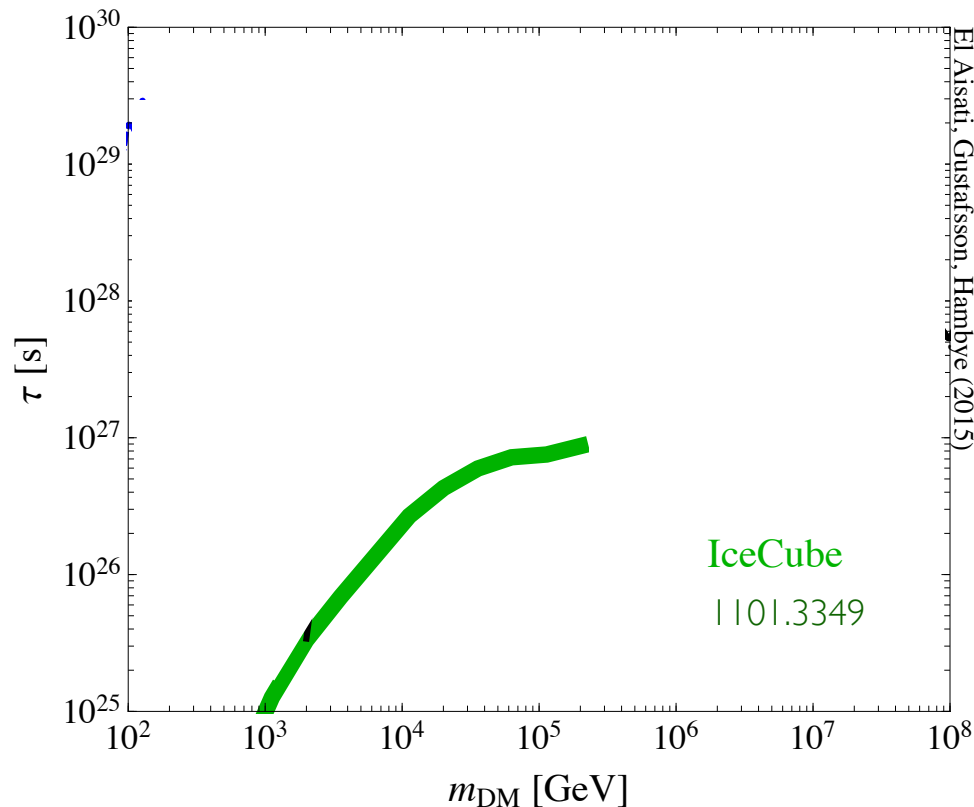
Based on: C. El Aisati, C. Garcia-Cely, TH, L. Vanderheyden, arXiv:1706.06600  
C. El Aisati, M. Gustafsson, TH, arXiv:1506.02657  
C. El Aisati, M. Gustafsson, TH, T. Scarna, arXiv:1510.05008  
C. El Aisati, TH, T. Scarna, arXiv:1403.1280  
M. Gustafsson, TH, T. Scarna, arXiv:1303.4423

# Monochromatic flux of $\nu$ : a DM smoking gun!

from DM annihilation or decay

↪ Observational situation for a decay:  $\Gamma_{DM \rightarrow \nu + X}$

Lifetime lower limit:



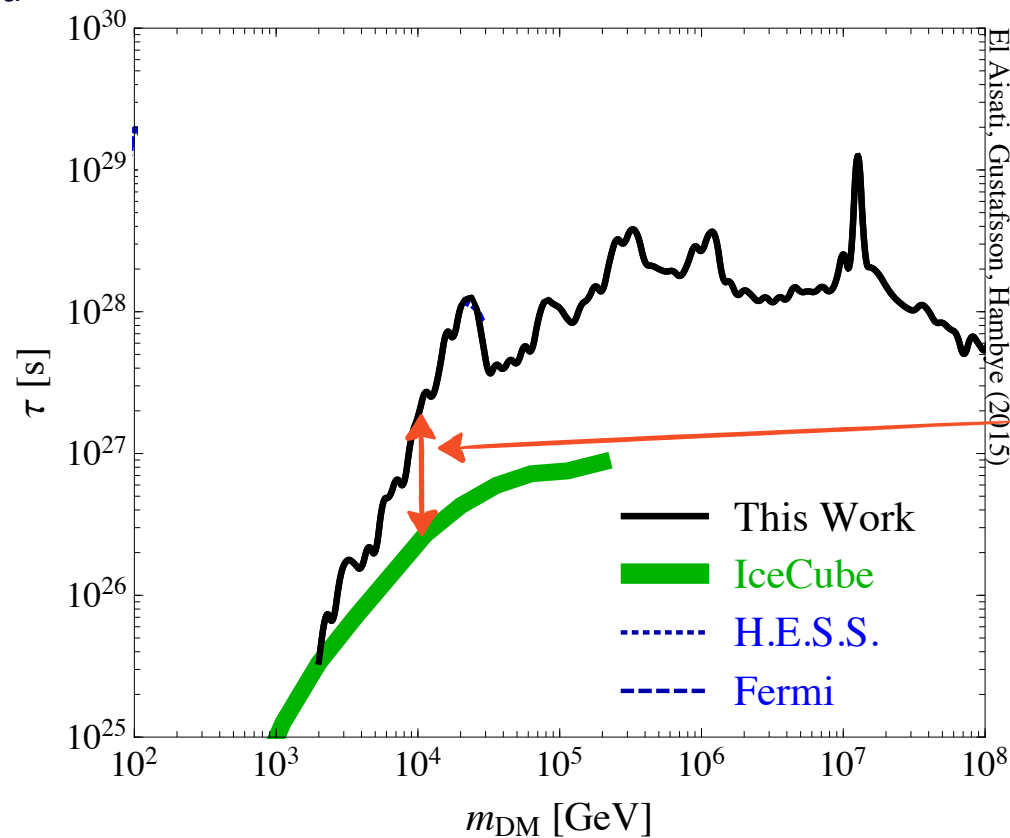
Above 100 TeV there are other limits:  
Rott, Kohri, Park, 14'  
Esmaili, Kang, Serpico 14'

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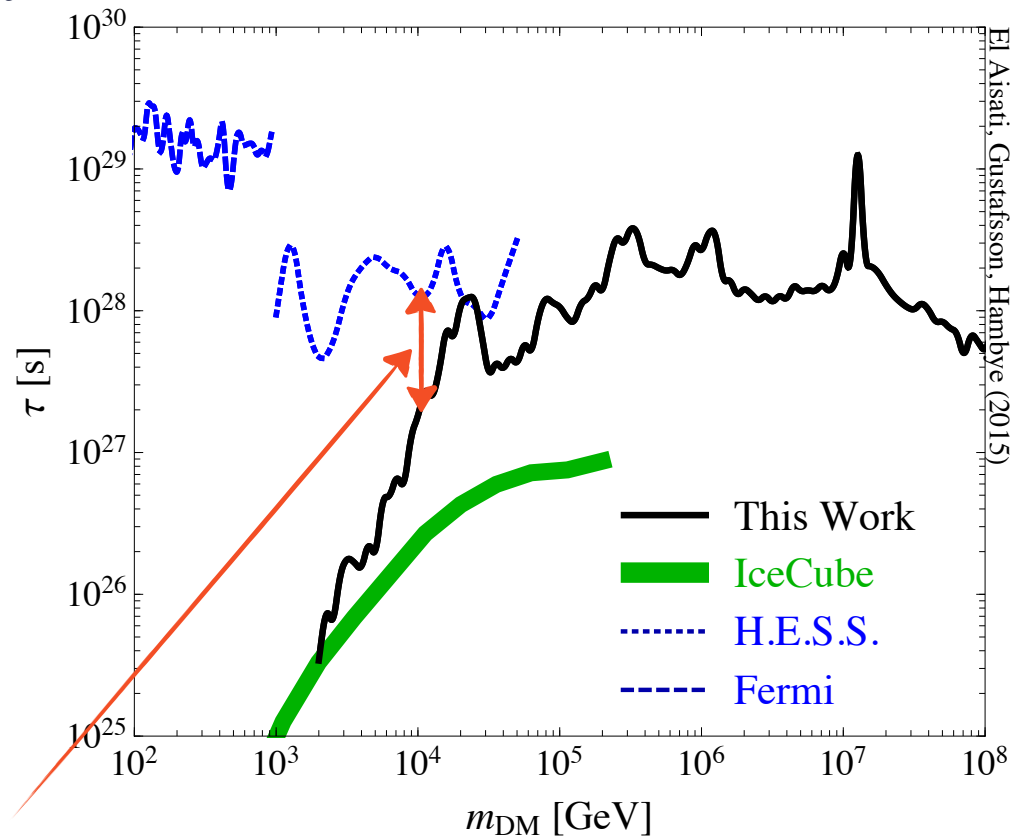
~ an order of magnitude improvement from few TeV to 100 TeV

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between few TeV and 50 TeV,  $\gamma$  and  $\nu$  line sensitivities are similar! ↪ within a factor 1 to 20

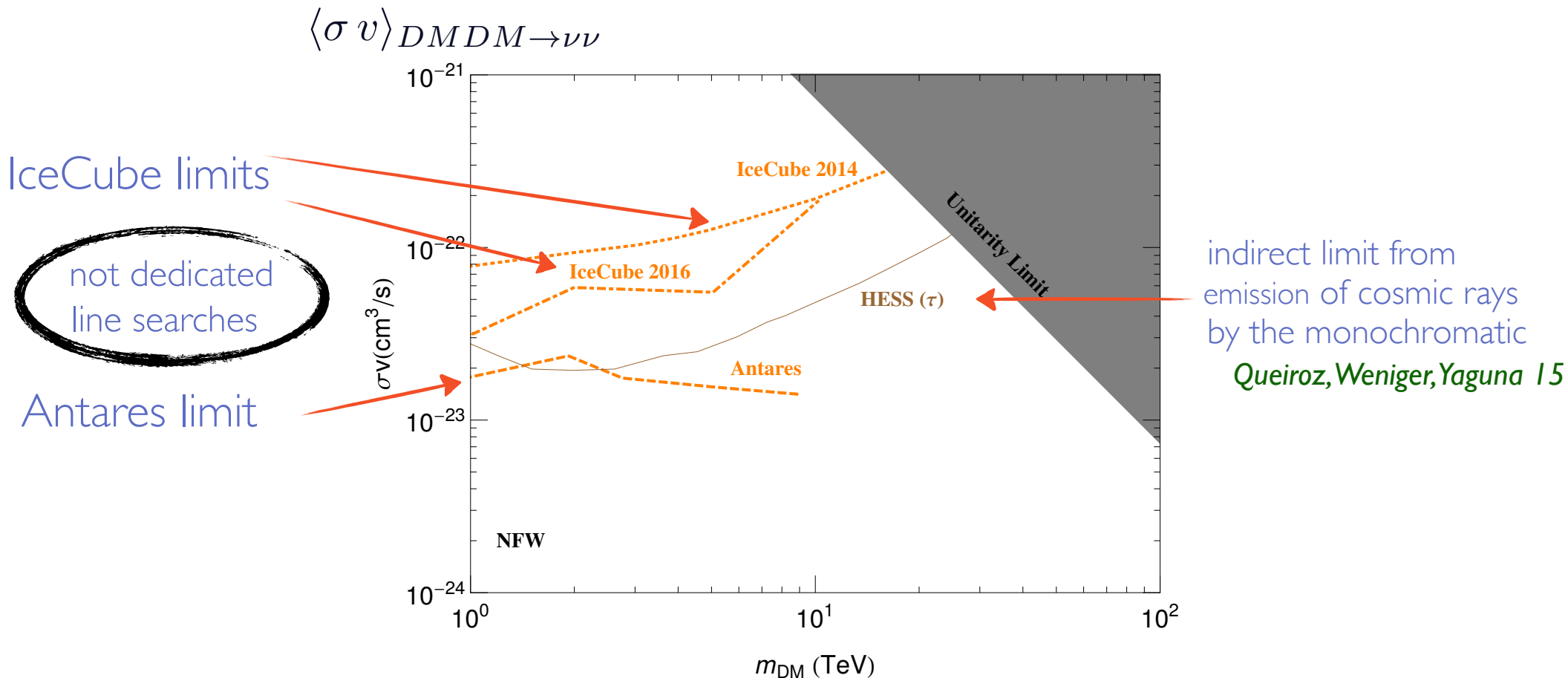


# Monochromatic flux of $\nu$ : a DM smoking gun!

from DM annihilation or decay

Observational situation for an annihilation:  $\langle \sigma v \rangle_{DM DM \rightarrow \nu \nu}$

Annihilation cross section upper limit:



# Monochromatic flux of $\nu$ : a DM smoking gun!

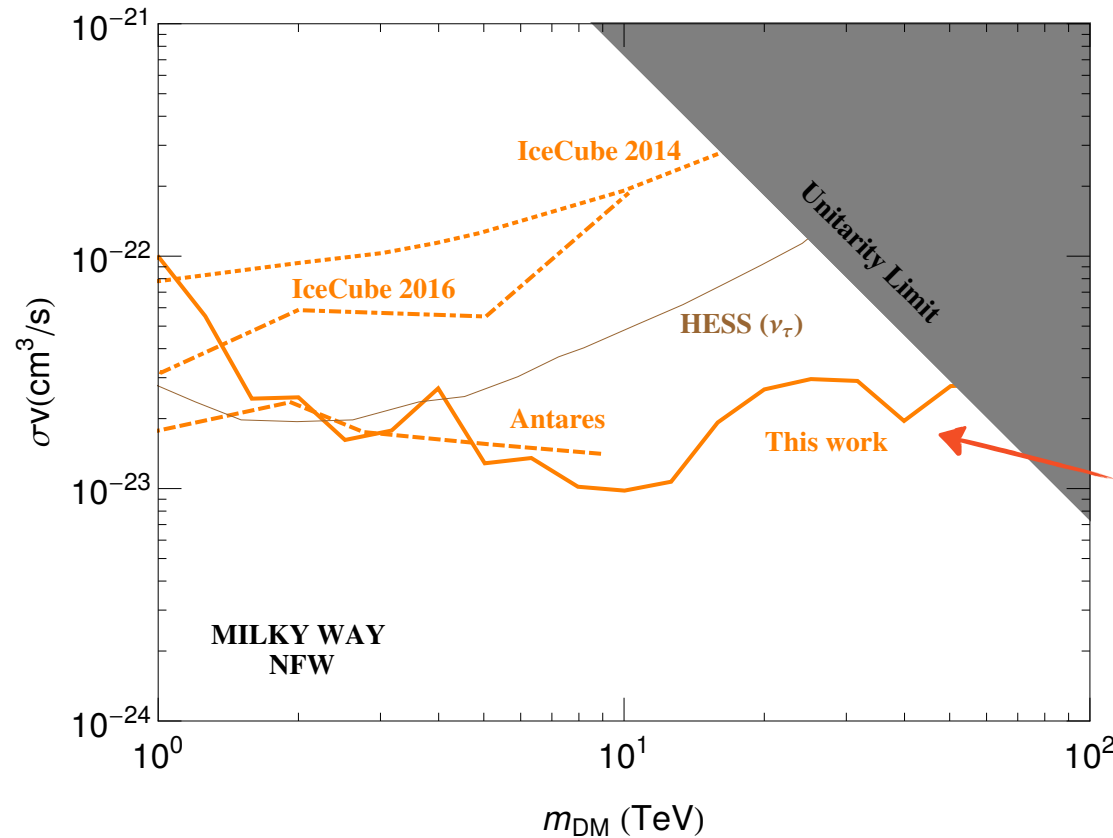
from DM annihilation or decay

→ Observational situation for an annihilation:  $\langle \sigma v \rangle_{DM DM \rightarrow \nu \nu}$

Annihilation cross section upper limit:

$$\langle \sigma v \rangle_{DM DM \rightarrow \nu \nu}$$

*El Aisati, Garcia-Cely, T.H., Vanderheyden 17*



from line dedicated search using same 1-year data sample than for the decay

decay:  $n_\nu \propto \rho_{DM}$

→ only illustrative: based on sample of only one year and with no angular information:

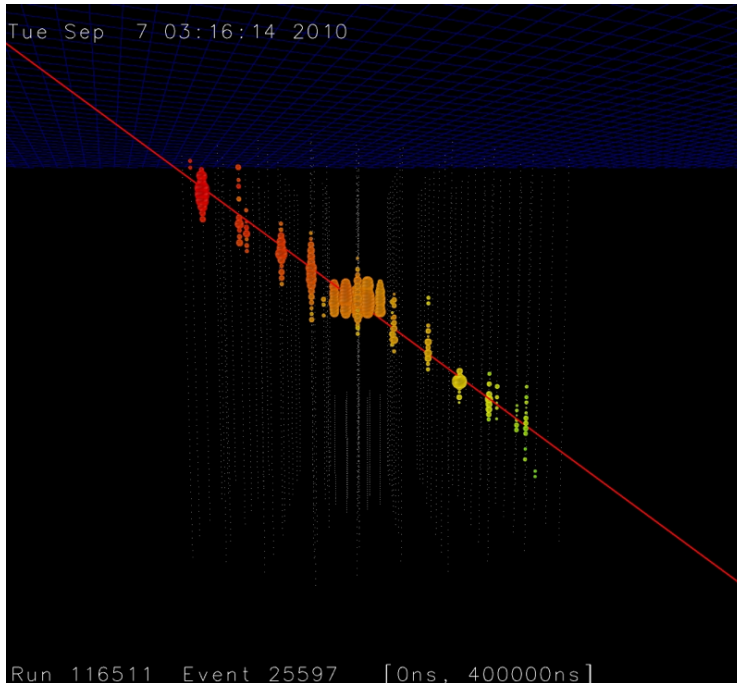
crucial for annihilation:  $n_\nu \propto \rho_{DM}^2$

→ annihilation signal largely peak on galactic center unlike for a decay

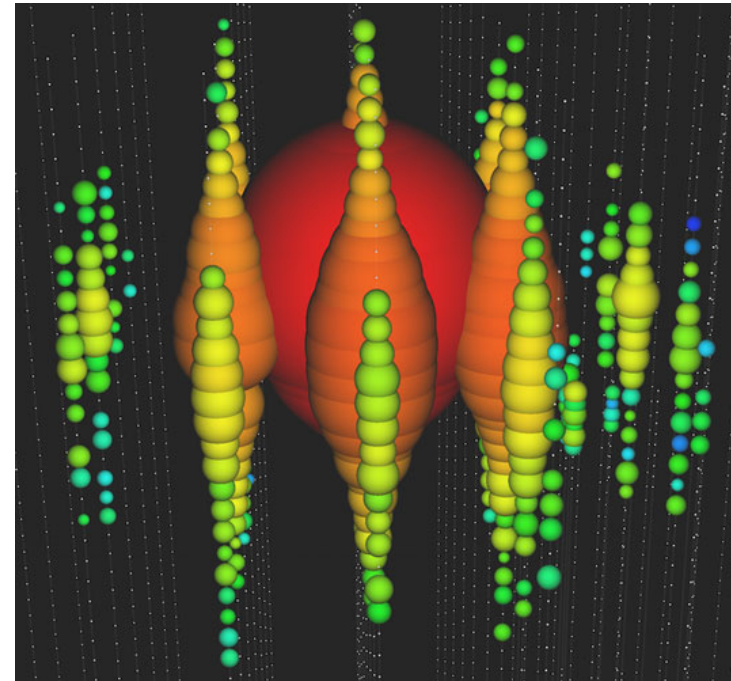
→ need also to see the galactic center with good angular resolut.

# *$\nu$ -line search from DM annihilation: need good energy resolution and good angular resolution towards galactic center*

muon track:



cascade events:



good angular resolut.:  $\sim 0.2^\circ - 1^\circ$   
poor energy resolut. unless fully contained  
OK to see the galactic center for  
starting inside events

good energy resolut.:  $\sim 15\%$   
not so good ang. resol.:  $\sim 10^\circ - 15^\circ$   
good for galactic center events

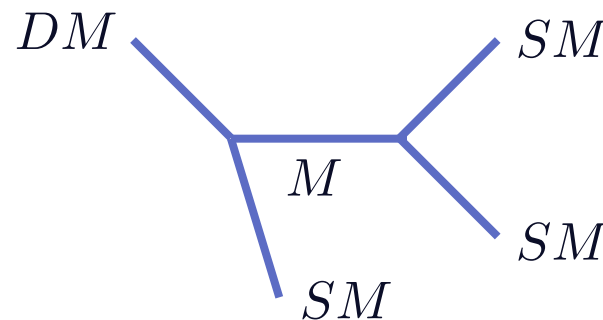
⇒ very promising even if not as easy as for a decay and as for a  $\gamma$ -line

# What about model-building? $\nu$ -line sensitivity reachable?

→ for the decay case: easy to have an observable flux!

→ models based on accidental DM stability:

low energy accidental symmetry broken  
at high energy as for proton decay:



⇒ higher dims. operator

$$\Gamma_{DM} \sim \frac{m_{DM}^{2n+1}}{M^{2n}}$$

for instance for dimension 6

operator ( $n=2$ ) and  $m_{DM} \sim \text{TeV}$  :

$$\tau_{DM} \sim 10^{28} \text{ sec for } M \sim M_{GUT}$$

⇒ the decay case can be fully probed and parametrized by writing down the full list of higher dims. operators linear in the DM field

# Decay mode example: $DM \rightarrow \nu + \gamma$

El Aisati, Gustafsson, TH, Scarna '16

$\nu$ -line +  $\gamma$ -line: double monochromatic smoking gun!!

very few possible effective operator structures up to dim-6:

one dim-5 structure:  $\mathcal{O}^{(5)Y} \equiv \bar{L}\sigma_{\mu\nu}\psi_{DM}F_Y^{\mu\nu}$ ,

$\mathcal{O}^{(5)L} \equiv \bar{L}\sigma_{\mu\nu}\psi_{DM}F_L^{\mu\nu}$ ,

3 dim-6 structure:  $\mathcal{O}^{1Y} \equiv \bar{L}\sigma_{\mu\nu}\psi_{DM}F_Y^{\mu\nu}\phi$ ,

$\mathcal{O}^{1L} \equiv \bar{L}\sigma_{\mu\nu}\psi_{DM}F_L^{\mu\nu}\phi$ ,

$\mathcal{O}^{2Y} \equiv D_\mu \bar{L}\gamma_\nu \psi_{DM}F_Y^{\mu\nu}$ ,

$\mathcal{O}^{2L} \equiv D_\mu \bar{L}\gamma_\nu \psi_{DM}F_L^{\mu\nu}$ ,

$\mathcal{O}^{3Y} \equiv \bar{L}\gamma_\mu D_\nu \psi_{DM}F_Y^{\mu\nu}$ ,

$\mathcal{O}^{3L} \equiv \bar{L}\gamma_\mu D_\nu \psi_{DM}F_L^{\mu\nu}$ ,

$\Rightarrow$  varying over possible DM quantum numbers:

$\Rightarrow$   $\nu$ -line and  $\gamma$ -line correlated:

- same energy
- ratio of line intensities fixed by operator
- associated flux of cosmic rays fixed by operator and around the corner

Operator Structure	DM field (n-plet, Y)	Fields contract. (n-plet)	Operator
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_Y^{\mu\nu}$	(2, -1)		$\mathcal{O}_{2\text{-let}}^{(5)Y}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_L^{\mu\nu}$	(2, -1)		$\mathcal{O}_{2\text{-let}}^{(5)L}$
	(4, -1)		$\mathcal{O}_{4\text{-let}}^{(5)L}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_Y^{\mu\nu}H$	(1, 0)		$\mathcal{O}_{H,1\text{-let}}^{1Y}$
	(3, 0)		$\mathcal{O}_{H,3\text{-let}}^{1Y}$
	(1, 0)		$\mathcal{O}_{H,1\text{-let}}^{1L}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_L^{\mu\nu}H$	(3, 0)	a: $(\bar{L}H) = 1$	$\mathcal{O}_{H,3\text{-let}}^{1L,a}$
	(3, 0)	c: $(\psi_{DM}H) = 2$	$\mathcal{O}_{H,3\text{-let}}^{1L,c}$
	(3, 0)	d: $(\psi_{DM}H) = 4$	$\mathcal{O}_{H,3\text{-let}}^{1L,d}$
	(3, 0)	e: $(\bar{L}\psi_{DM}) = 2$	$\mathcal{O}_{H,3\text{-let}}^{1L,e}$
	(3, 0)	f: $(\bar{L}\psi_{DM}) = 4$	$\mathcal{O}_{H,3\text{-let}}^{1L,f}$
	(5, 0)		$\mathcal{O}_{H,5\text{-let}}^{1L}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_Y^{\mu\nu}\tilde{H}$	(3, -2)		$\mathcal{O}_{\tilde{H},3\text{-let}}^{1Y}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_L^{\mu\nu}\tilde{H}$	(3, -2)	b: $(\bar{L}\tilde{H}) = 3$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,b}$
	(3, -2)	c: $(\psi_{DM}\tilde{H}) = 2$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,c}$
	(3, -2)	d: $(\psi_{DM}\tilde{H}) = 4$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,d}$
	(3, -2)	e: $(\bar{L}\psi_{DM}) = 2$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,e}$
	(3, -2)	f: $(\bar{L}\psi_{DM}) = 4$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,f}$
	(5, -2)		$\mathcal{O}_{\tilde{H},5\text{-let}}^{1L}$
$D_\mu \bar{L}\gamma_\nu \psi_{DM}F_Y^{\mu\nu}$	(2, -1)		$\mathcal{O}_{2\text{-let}}^{2Y}$
$D_\mu \bar{L}\gamma_\nu \psi_{DM}F_L^{\mu\nu}$	(2, -1)		$\mathcal{O}_{2\text{-let}}^{2L}$
	(4, -1)		$\mathcal{O}_{4\text{-let}}^{2L}$
$\bar{L}\gamma_\mu D_\nu \psi_{DM}F_Y^{\mu\nu}$	(2, -1)		$\mathcal{O}_{2\text{-let}}^{3Y}$
$\bar{L}\gamma_\mu D_\nu \psi_{DM}F_L^{\mu\nu}$	(2, -1)		$\mathcal{O}_{2\text{-let}}^{3L}$
	(4, -1)		$\mathcal{O}_{4\text{-let}}^{3L}$

full list of operators up to quintuplet

for other decay channel operators see also Feldstein, Kusenko, Matsumoto, Yanagida, 13'

# What about model-building? $\nu$ -line sensitivity reachable?

→ for the annihilation case: possibilities to have an observable flux!

2 issues:

- $\nu$ -line sensitivity much weaker than  $\gamma$ -line sensitivity

→ not necessarily a problem because  $\nu$ -line can proceed easily at tree level unlike  $\gamma$ -line

- future  $\nu$ -line sensitivity  $\langle\sigma v\rangle_{DM\ DM\rightarrow\nu\nu} \sim \text{few } 10^{-25}$  will not reach the thermal freeze out total cross section value  $\langle\sigma v\rangle_{Tot} \sim 3 \cdot 10^{-26}$

→ this excludes an observable  $\nu$ -line for most models but not necessarily: need for a boost of the cross section from freeze out epoch to today

↙  
astrophysical boost

↘  
particle physics boost: Sommerfeld effect

non relativistic DM particles  
today can exchange many lighter  
mediators before annihilating

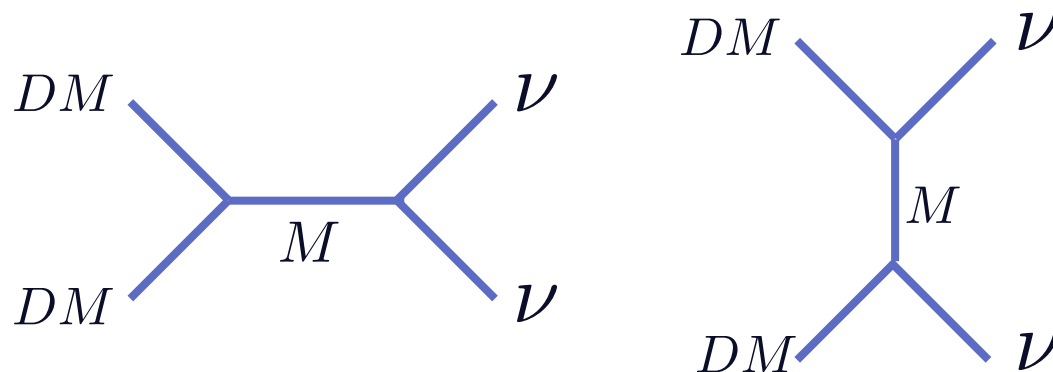
# Determination of minimal models leading to observable $\nu$ -line from DM annihilation

El Aisati, Garcia-Cely, TH, Vanderheyden 17

↪ for spin 0 or 1/2 DM

↪ with DM out of single multiplet of  $SU(3)_c \times SU(2)_L \times U(1)_Y$

↪ with  $DM DM \rightarrow \nu\nu$  mediated by single mediator multiplet



⇒ systematic study of these minimal models

⇒ which ones of these models can lead to an observable  $\nu$ -line from DM annihilation through the Sommerfeld effect????

# Determination of minimal models leading to observable $\nu$ -line from DM annihilation

 many constraints:

- constraint 1: annihilation must proceed through s-wave not to be suppressed by velocity powers today

 for the  $DM DM \rightarrow \nu \bar{\nu}$  channel this excludes all scalar and Majorana DM models

but leaves open many possibilities in the  $DM DM \rightarrow \nu \nu$  channel



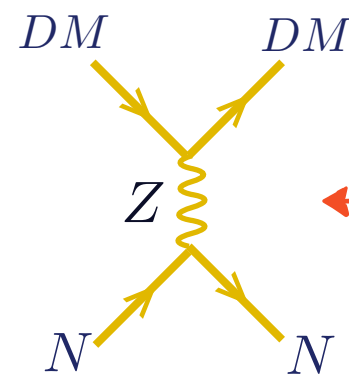
# Determination of minimal models leading to observable $\nu$ -line from DM annihilation

many constraints:

- constraint 2: direct detection constraint:

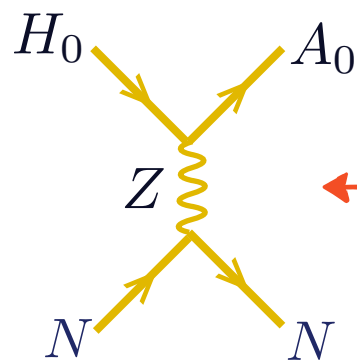
big issue for DM multiplet with non-zero hypercharge

need to split in mass the neutral components of the DM multiplet



far too large

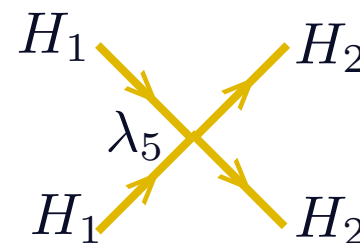
example: DM is neutral component of scalar doublet: "inert" doublet



kinematically forbidden  
if:  $m_{A_0} - m_{H_0} \gtrsim 100 \text{ keV}$

possible from  $\lambda_5$  interaction

$$H_2 = \begin{pmatrix} H^+ \\ \frac{H_0 + iA_0}{\sqrt{2}} \end{pmatrix}$$



similarly  $Y \neq 0$  DM Dirac fermion must be split into Majorana fermions

# s-wave + direct detection surviving models

20 models:

DM and mediator up to triplets

only Dirac DM  
for  $\nu\bar{\nu}$  channel  $\rightarrow$

$\nu\nu$  channel  $\rightarrow$

Annihilation Channel	DM		Mediator		$m_\nu$ OK at 1-loop?	Suppressed by $v_{\text{EW}}/m_{\text{DM}}$ ?	$\ell^+\ell^-$	Model
$\overline{\text{DMDM}} \rightarrow \bar{\nu}\nu$	Dirac	$T_0$	s-chann. vector	$S$	Yes	No	=	$F_1$
		$T_0$	t-chann. scalar	$D$				$F_2$
		$S$	s-chann. vector	$S$				$F_3$
		$S$	t-chann. scalar	$D$				$F_4$
$\text{DMDM} \rightarrow \nu\nu$	Real Scalar	$D$	s-chann. scalar	$T_2$	$\pm$	No	/	$S_1^r$
		$S$	t-chann. Majorana	$D$	No	Yes		$S_2^r$
		$D$		$S$		No		$S_3^r$
		$D$		$T_0$		No		$S_4^r$
		$D$		$T_2$		Yes		$S_5^r$
		$T_0$		$D$		Yes		$S_6^r$
		$T_2$		$D$		Yes		$S_7^r$
	Majorana	$D$	s-chann. scalar	$T_2$		$\pm$		No
		$S$	t-chann. scalar	$D$	No	Yes		$F_2^m$
		$D$		$S$		No		$F_3^m$
		$D$		$T_0$		No		$F_4^m$
		$D$		$T_2$		Yes		$F_5^m$
		$T_0$		$D$		Yes		$F_6^m$
		$T_2$		$D$		Yes		$F_7^m$
	Complex Scalar	$S$	t-chann. Majorana	$D$		Yes		Yes
		$T_0$		$D$	$S_2$			
	Dirac	$S$	t-chann. scalar	$D$	Yes	Yes		$F_4$
		$T_0$		$D$				$F_2$

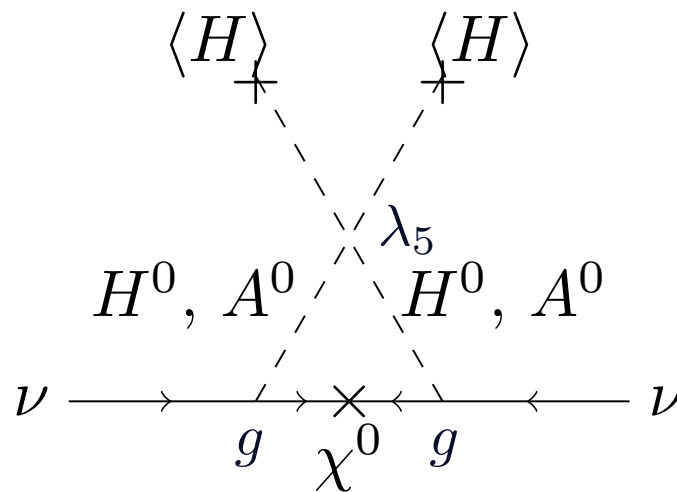
El Aisati, Garcia-Cely, T.H., Vanderheyden '17  
See also related table in Lindner, Merle, Niro '10

$\nu$  mass constraint: kills many  $\nu\nu$  channel possibilities



constraint 3:

example: inert doublet DM:

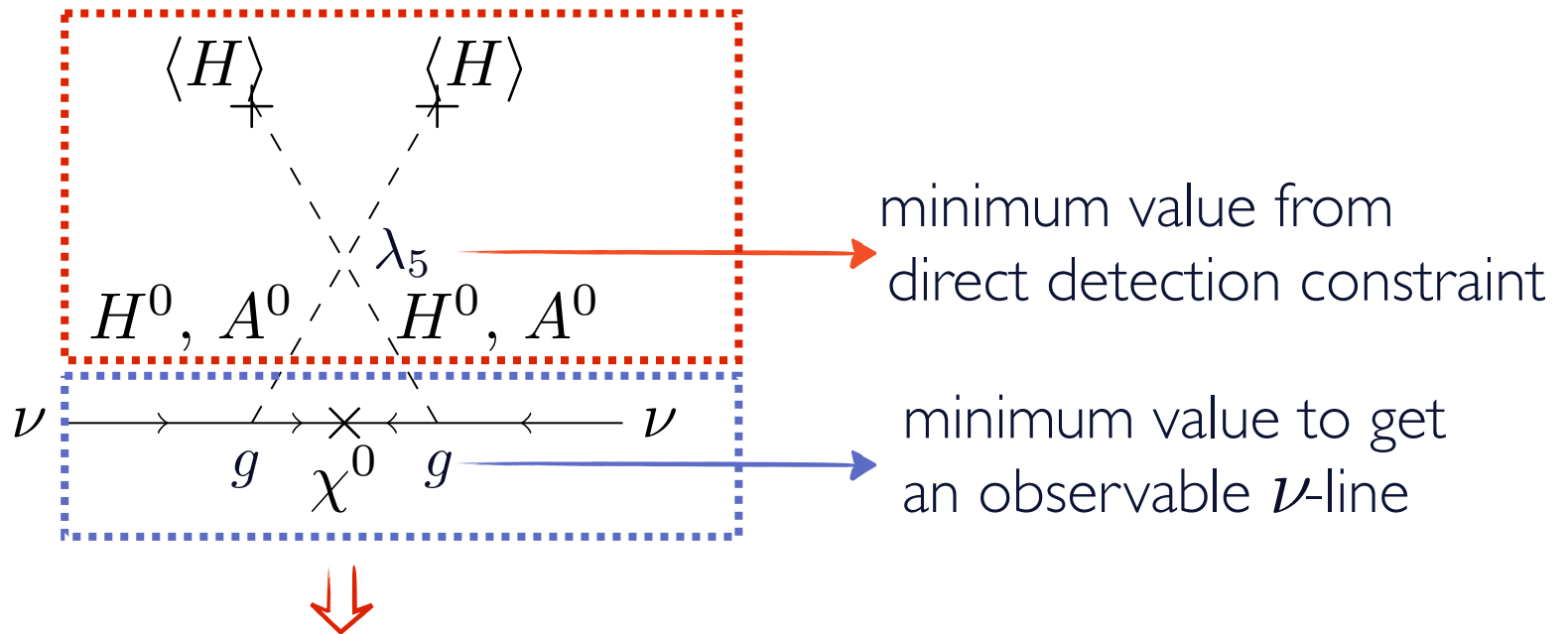


# $\nu$ mass constraint: kills many $\nu\nu$ channel possibilities



constraint 3:

example: inert doublet DM:



too large neutrino masses!  $m_\nu \gtrsim 100 \text{ keV}$

# s-wave + direct detection + $\nu$ mass surviving models

8 models:

DM and mediator up to triplets

Annihilation Channel	DM	Mediator	$m_\nu$ OK at 1-loop?	Suppressed by $v_{EW}/m_{DM}$ ?	$\ell^+\ell^-$	Model
$\overline{DMDM} \rightarrow \bar{\nu}\nu$	Dirac	$T_0$ s-chann. vector	Yes	No	=	$F_1$
		$T_0$ t-chann. scalar				$F_2$
		$S$ s-chann. vector				$F_3$
		$S$ t-chann. scalar				$F_4$
$DMDM \rightarrow \nu\nu$	Real Scalar	$D$ s-chann. scalar	$\pm$	No		$S_1^r$
		<del><math>S</math></del>		<del>Yes</del>		<del><math>S_2^r</math></del>
		<del><math>D</math></del>		<del>No</del>		<del><math>S_3^r</math></del>
		<del><math>D</math></del>		<del>No</del>		<del><math>S_4^r</math></del>
		<del><math>D</math> t-chann. Majorana</del>		<del>Yes</del>		<del><math>S_5^r</math></del>
		<del><math>T_0</math></del>		<del>Yes</del>		<del><math>S_6^r</math></del>
		<del><math>T_2</math></del>		<del>Yes</del>		<del><math>S_7^r</math></del>
	Majorana	$D$ s-chann. scalar	$\pm$	No	/	$F_1^m$
		<del><math>S</math></del>		<del>Yes</del>		<del><math>F_2^m</math></del>
		<del><math>D</math></del>		<del>No</del>		<del><math>F_3^m</math></del>
		<del><math>D</math></del>		<del>No</del>		<del><math>F_4^m</math></del>
		<del><math>D</math> t-chann. scalar</del>		<del>Yes</del>		<del><math>F_5^m</math></del>
		<del><math>T_0</math></del>		<del>Yes</del>		<del><math>F_6^m</math></del>
		<del><math>T_2</math></del>		<del>Yes</del>		<del><math>F_7^m</math></del>
	Complex Scalar	$S$ t-chann. Majorana	Yes	Yes		$S_1$
		$T_0$				$S_2$
	Dirac	$S$ t-chann. scalar	Yes	Yes		$F_4$
		$T_0$				$F_2$

possible only for  $m_{DM} \gtrsim \text{TeV}$   
 not to induce too large  $l^+l^-$  flux because these models predict  $\Phi_{\nu\bar{\nu}} = \Phi_{l^+l^-}$   
constraint 4

excluded: give too many diffuse  $W^+W^-$  or too intense  $\gamma$ -line  
constraint 5

possible only for  $m_{DM} \lesssim \text{TeV}$   
 due to perturbativity:  
constraint 6

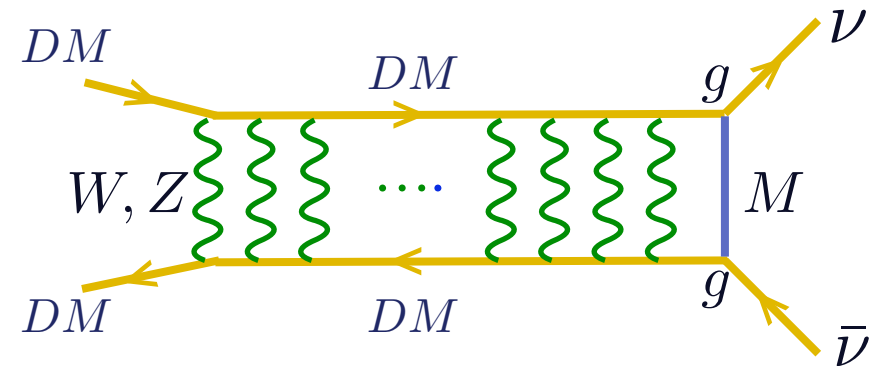
# $\nu$ -line cross section results including Sommerfeld effect

example: model  $F_2$ : a  $Y = 0$  fermion DM triplet + a scalar doublet mediator



Sommerfeld for free and known: E-W interactions

as models  
 $F_1, S_1^r, F_1^m$



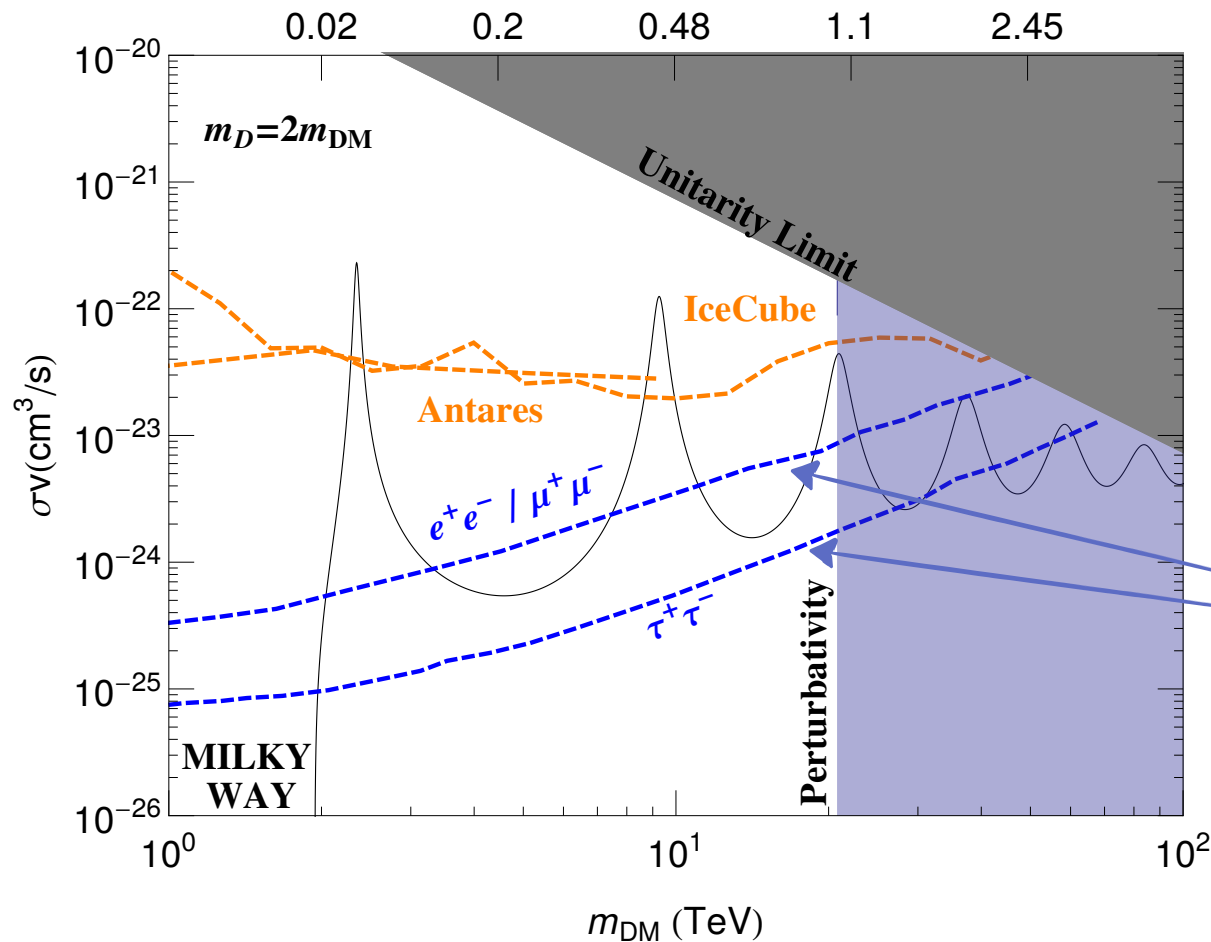
$\nu$ -line is predicted as a function of  
 $m_{DM}$  and  $DM - Med - \nu$  coupling  $g$



can be fixed by  
DM relic density

# $\nu$ -line cross section results including Sommerfeld effect

→ example: model  $F_2$ : a  $Y = 0$  fermion DM triplet + a scalar doublet mediator



*El Aisati, Garcia-Cely,  
T.H., Vanderheyden '17*

$\Phi_{\nu\bar{\nu}} = \Phi_{l+l-}$   
charged lepton  
flux constraint  
constraint 4

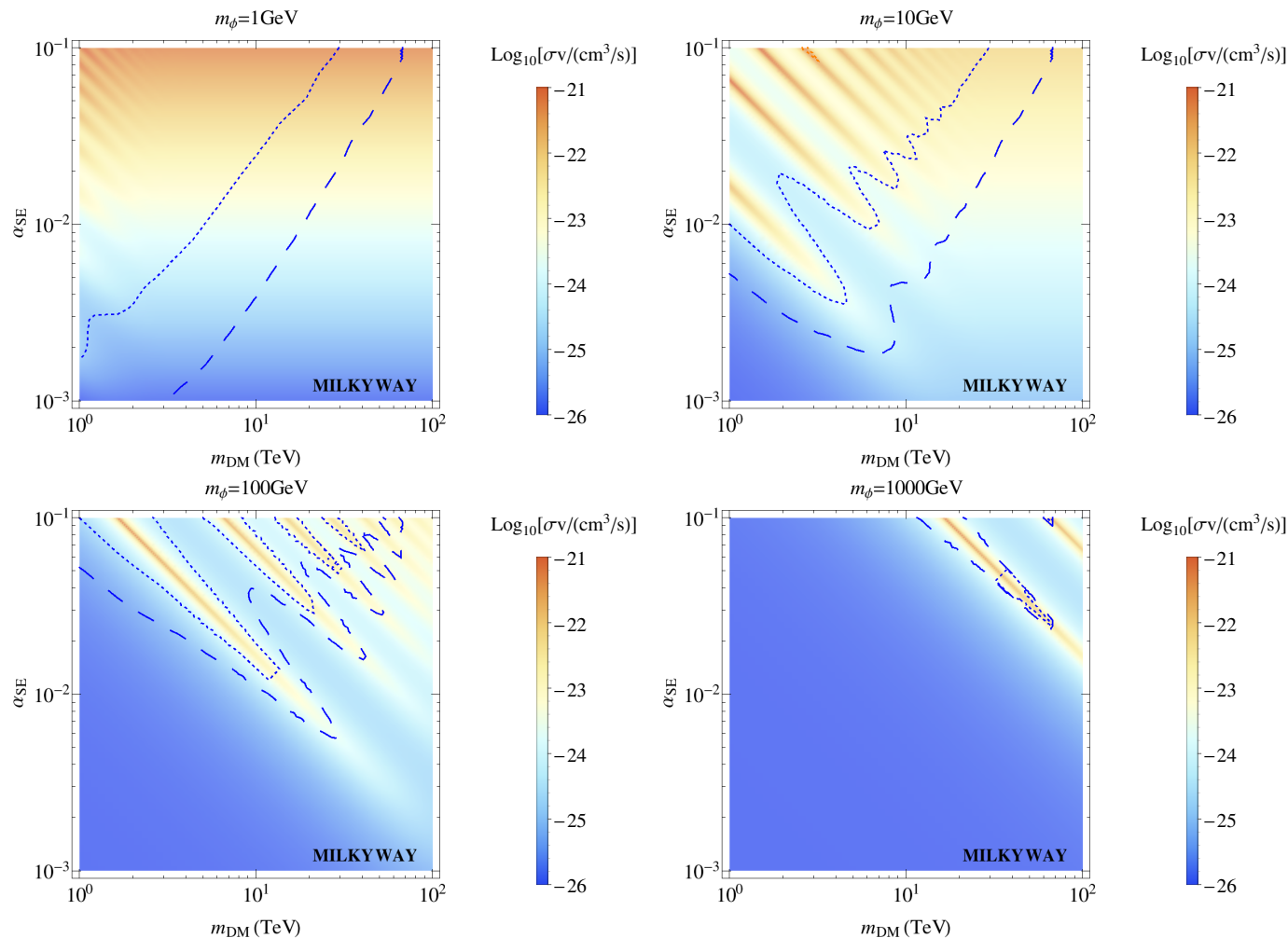
→ all fluxes predicted:  $\nu$ -line and associated charged lepton flux around the corner

→ discrimination of the models

# $\nu$ -line cross section results including Sommerfeld effect

other example: model  $F_4$ : a  $Y = 0$  fermion DM singlet + a scalar doublet med.

Sommerfeld requires extra  
light BSM mediator  $\Rightarrow$   $\nu$ -line is predicted as a function of  
of  $m_{DM}$  and  $DM - Med - \nu$  coupling  $g$   
and Som. mediator mass and coupling



*El Aisati, Garcia-Cely,  
T.H., Vanderheyden '17*

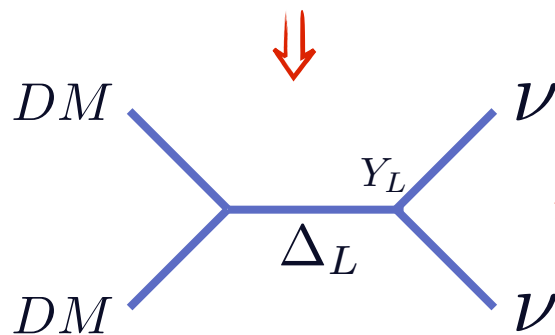


# $\nu$ -line flavor composition

→ further possibility of model discrimination

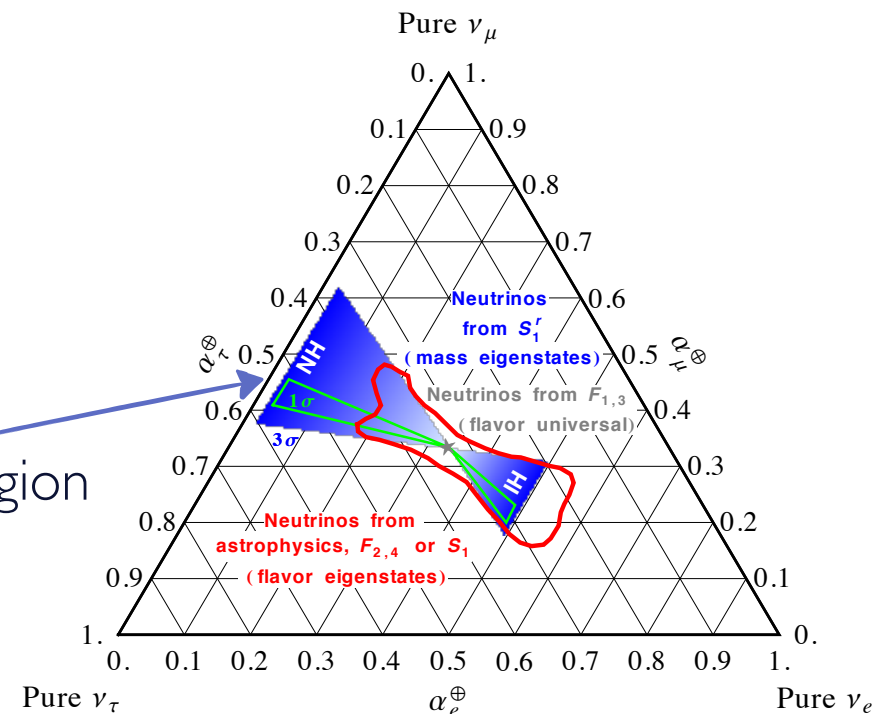
a type-II seesaw state  $\Delta_L$

example: model  $S_1^r$ : real scalar DM from doublet + scalar  $Y = 2$  triplet mediator



→ neutrinos are produced as mass eigenstates

flavour flux composition outside oscillation region



Garcia-Cely, Heeck '16

El Aisati, Garcia-Cely, TH, Vanderheyden '17

# Summary

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## $\nu$ -telescope search for a line:

- ↪ large improvement of sensitivity to be expected soon!!
- ↪ DM decay case: -  $\nu$  and  $\gamma$  line sensitivities of same order in multiTeV range
  - many models could lead to observable  $\nu$ -line including for interesting  $DM \rightarrow \gamma + \nu$  scenario
- ↪ DM annihilation case: -  $\nu$ -line sensitivity  $\ll$   $\gamma$ -line sensitivity
  - $\nu$ -line sensitivity doesn't reach freeze out value
- ↪ simple specific models leading to observable  $\nu$ -line do exist thanks to Sommerfeld effect and can be studied in a systematic way
- ↪ possibilities of model discrimination from  $\nu$ -line energy, intensity and flavor composition and associated diffuse cosmic ray emission
- ↪ overall picture remains true beyond minimal models



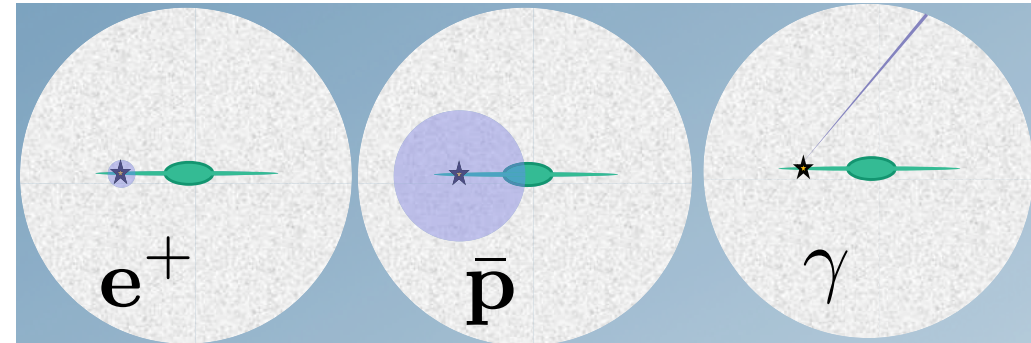


# Monochromatic flux of $\gamma$ : DM smoking gun

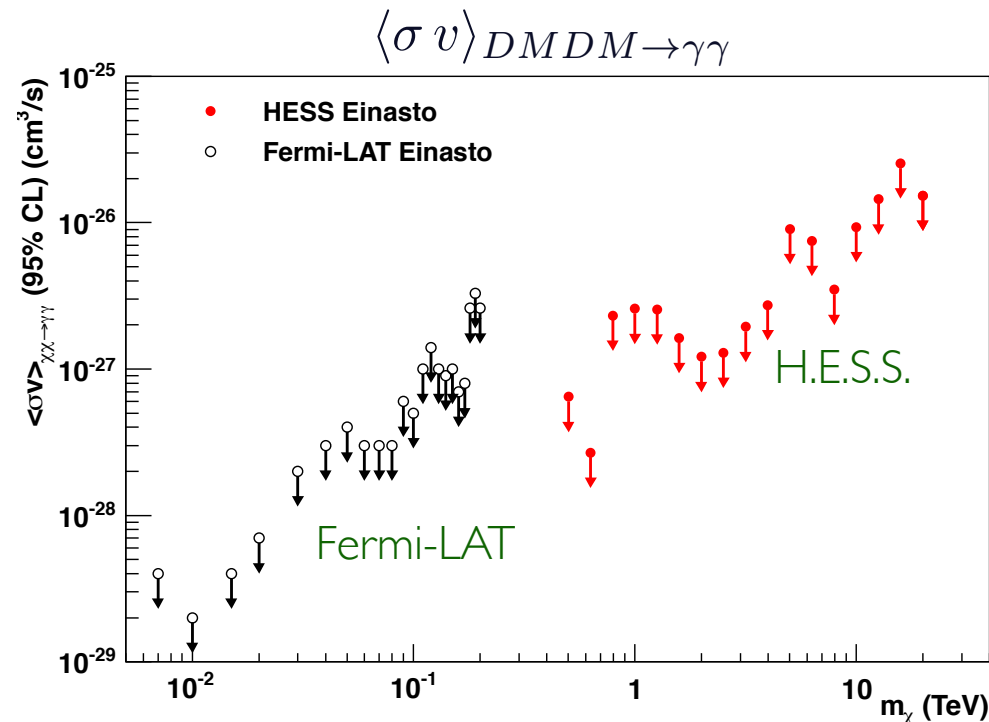
from DM annihilation or decay

- no astrophysical background
- flux and direction basically unaffected during propagation
- very active experimental field: Fermi-LAT, HESS, CTA, Gamma400, Dampe, ...

from Bergström, NJP 09



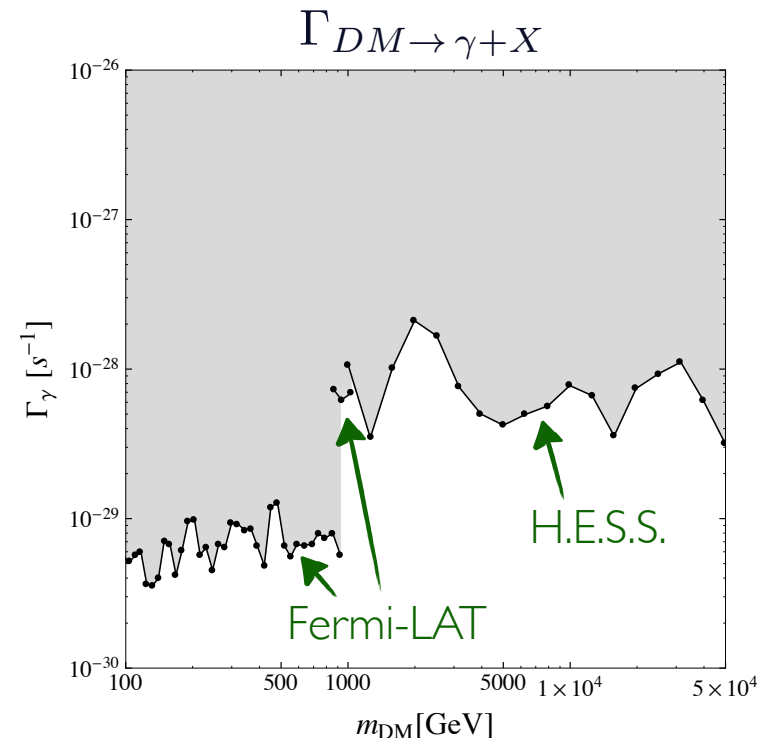
Annihilation cross section upper limit:



See also recent Hawc results

1301.1173

Decay width upper limit:



*Decay bound from Icecube details*

$DM \rightarrow \nu + X: \mathcal{V}$  flux expected in detector for a given lifetime

Galactic component:

$$\frac{d\phi_h}{dE_\nu d\Omega}(b, l) = \underbrace{\frac{1}{4\pi m_{DM} \tau_{DM}} \frac{dN}{dE_\nu}}_{\text{particle physics factor}} \underbrace{\int_{l.o.s.} ds \rho_h[r(s, b, l)]}_{\substack{\text{galactic DM factor} \\ \text{NFW profile}}}$$

Extragalactic component:

$$\frac{d\phi_{eg}}{dE_\nu d\Omega} = \underbrace{\frac{\Omega_{DM} \rho_c}{4\pi}}_{\text{cosmological factor}} \underbrace{\int dz \frac{c}{H(z)} \frac{1}{m_{DM} \tau_{DM}} \frac{dN}{dE} \Big|_{E=E_\nu(1+z)}}_{\text{particle physics factor}}$$

## Flux in detector issues: flavor, $\nu$ vs $\bar{\nu}$ , earth absorption, ...

- $\nu$ -oscillations: average  $\nu$  flavor:


$$P(\nu_e \leftrightarrow \nu_e) = 0.573, \quad P(\nu_e \leftrightarrow \nu_\mu) = 0.277$$

$$P(\nu_e \leftrightarrow \nu_\tau) = 0.150, \quad P(\nu_\mu \leftrightarrow \nu_\mu) = 0.348$$

$$P(\nu_\mu \leftrightarrow \nu_\tau) = 0.375, \quad P(\nu_\tau \leftrightarrow \nu_\tau) = 0.475$$

 relatively small effect

- $\nu$  vs  $\bar{\nu}$ : relatively small effect too

 results presented here are for  
democratic 1/3, 1/3, 1/3,  $\nu + \bar{\nu}$  flux

- earth absorption effects... taken into account



# Number of events expected in detector for a given lifetime

↪ depends on instrument response for a given data sample

$\alpha = \text{flavor index}$

$$\frac{dN_\alpha}{dE_\nu d\Omega dE' d\cos\theta' d\phi'} = \frac{d(\phi_h + \phi_{eg})_\alpha}{dE_\nu d\Omega} \mathcal{E}_\alpha D_{eff,\alpha}$$

theory flux

instrument response:

↪ exposure:

$$\mathcal{E}_\alpha = A_{eff,\alpha}(E_\nu, \theta) \times \Delta t$$

↪ dispersion function:

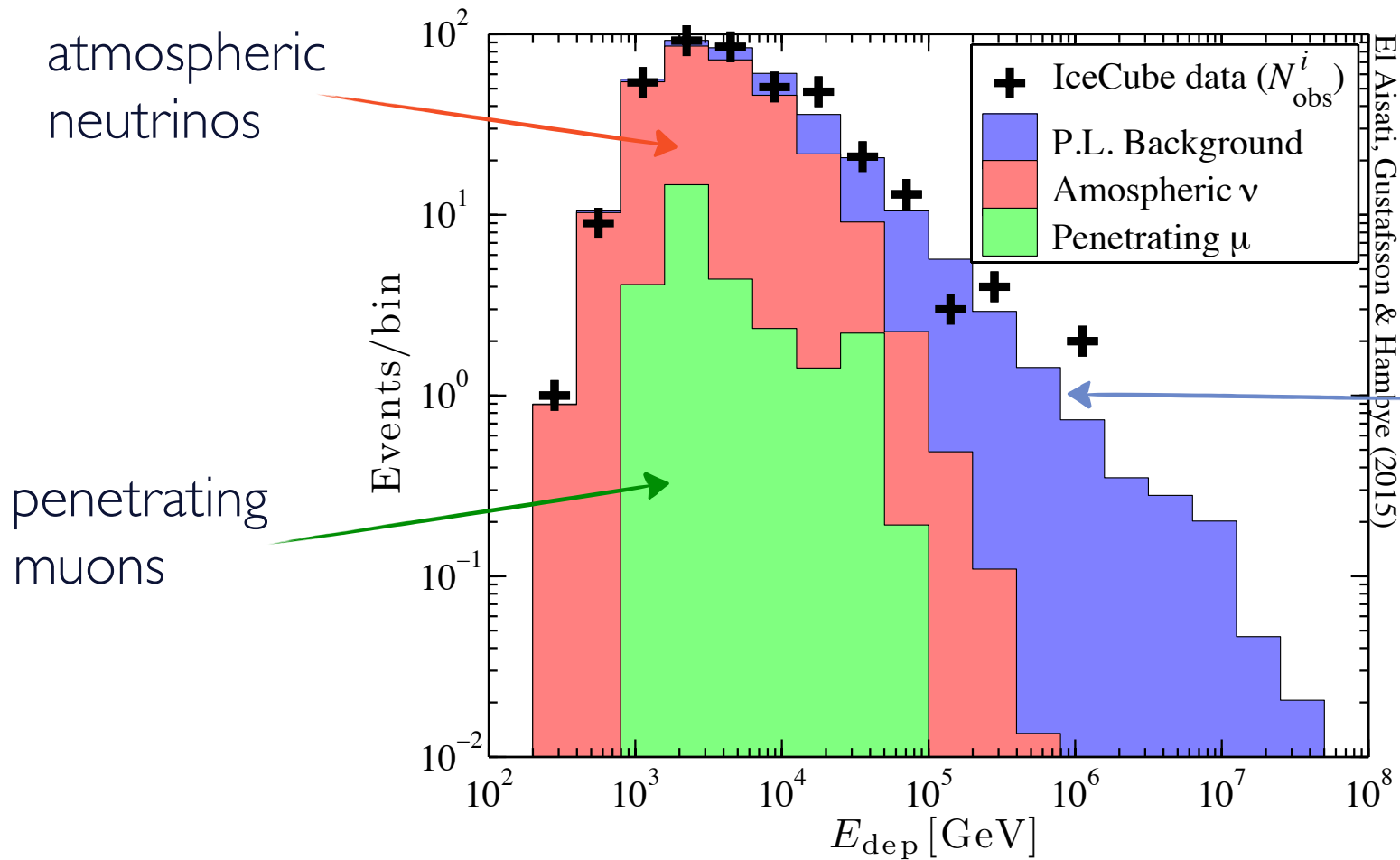
$$D_{eff}^\alpha(E', \theta', \phi'; E_\nu, \theta, \phi)$$

$$\Rightarrow N_{DM}^i = \int dE' \int d\cos\theta' \int d\phi' \int dE \int d\Omega \sum_{\alpha=e,\mu,\tau,\bar{e},\bar{\mu},\bar{\tau}} P_\alpha \frac{dN_\alpha}{dE_\nu d\Omega dE' d\cos\theta' d\phi'}$$

for a public 2010-2012 IceCube data sample

(78+8 strings, 100 GeV – 10<sup>8</sup> GeV, 383 detected events)

# Background



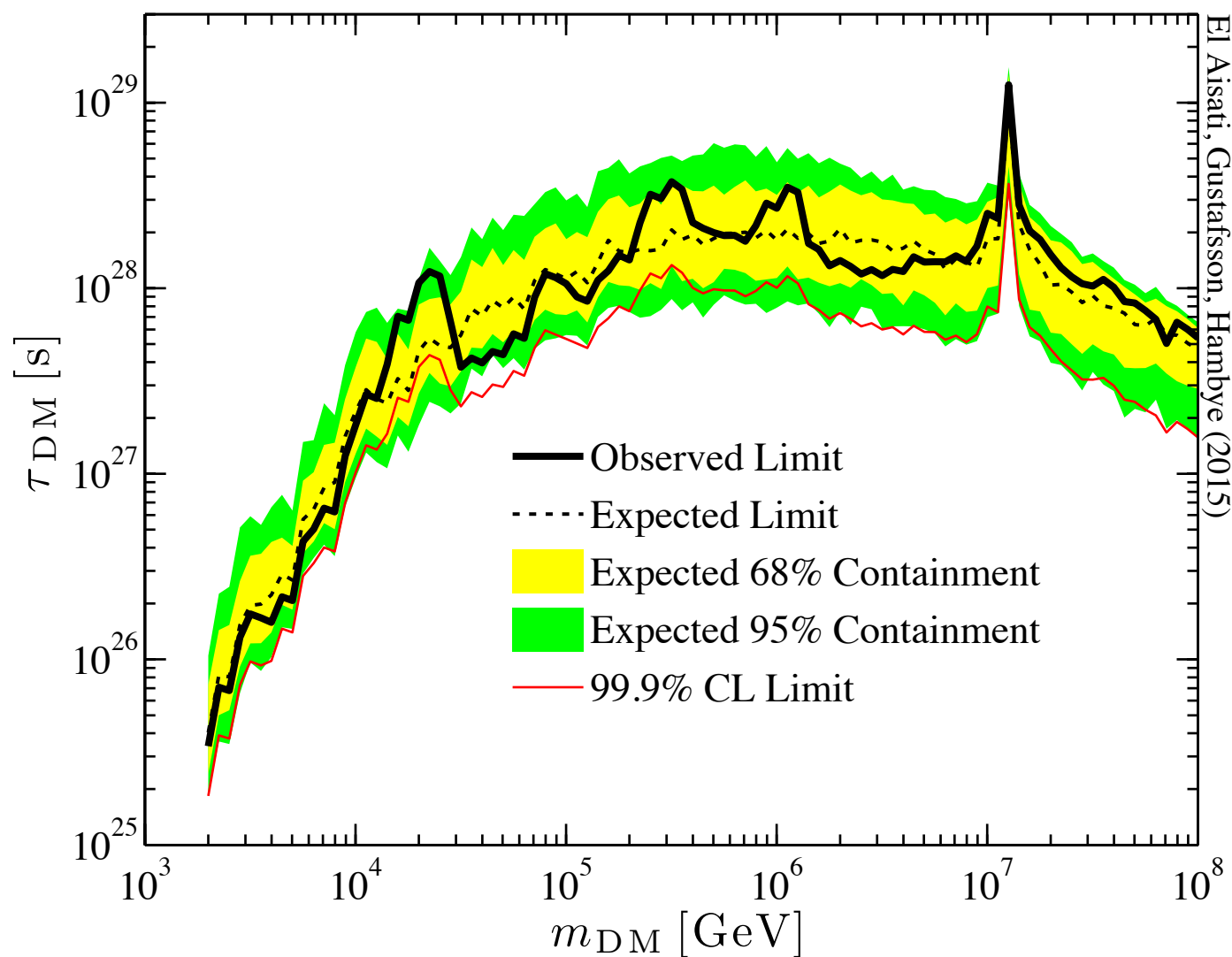
astrophysical neutrinos: we assume a power law with free power

$$\Rightarrow N_{\text{tot}}^i = n_{\text{sig}} N_{DM}^i(m_{DM}, \tau_{DM}) + n_1 N_{\mu}^i + n_2 N_{\text{atm}}^i + n_3 N_{\text{astro}}^i(\gamma)$$

free normalizations  $n_{\text{sig},1,2,3}$  and free power  $\gamma$

$\Rightarrow$  statistical method: test statistic of profile likelihood ratio (as for Fermi  $\gamma$ -line)

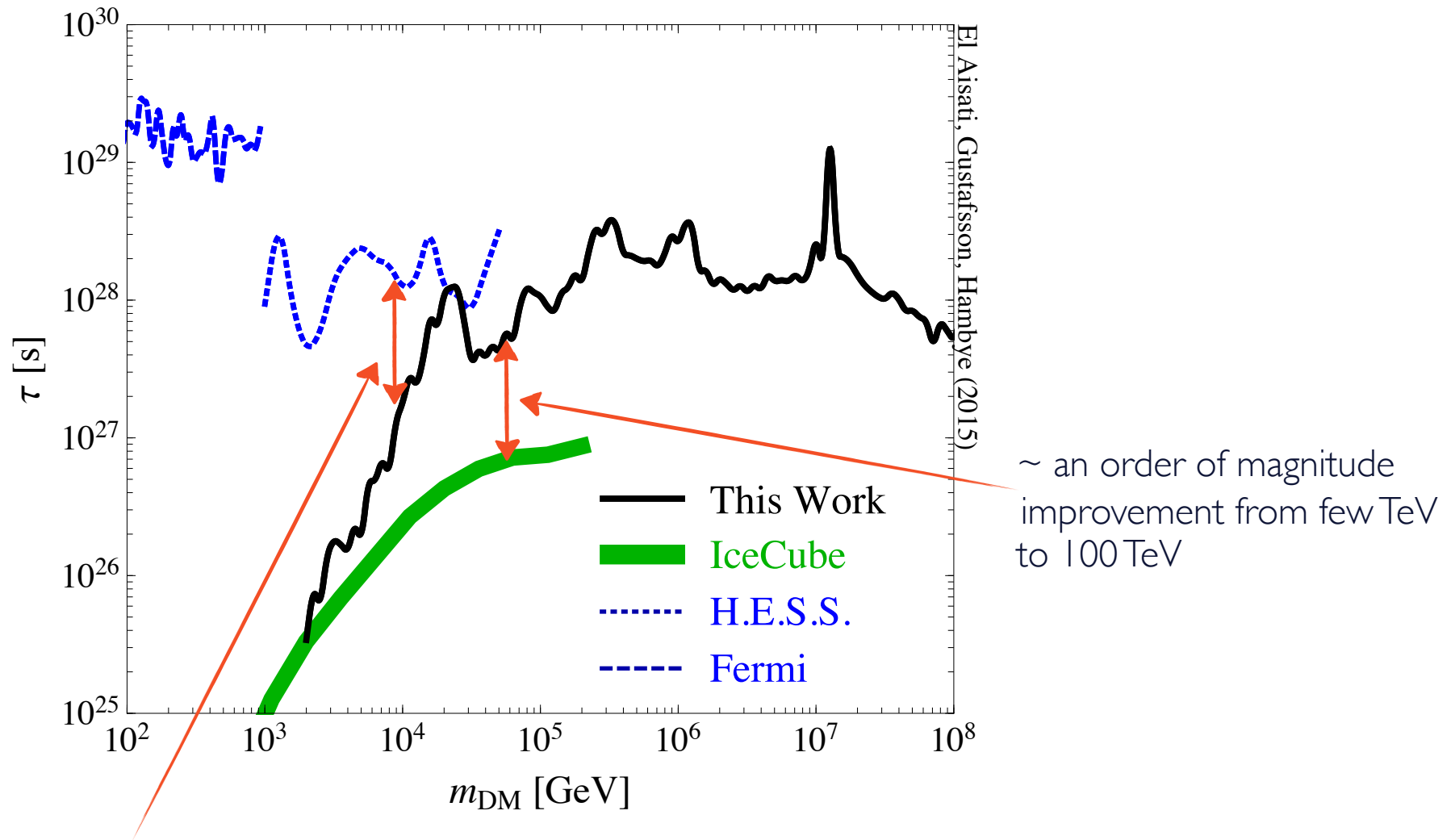
## Result: lower limit on lifetime



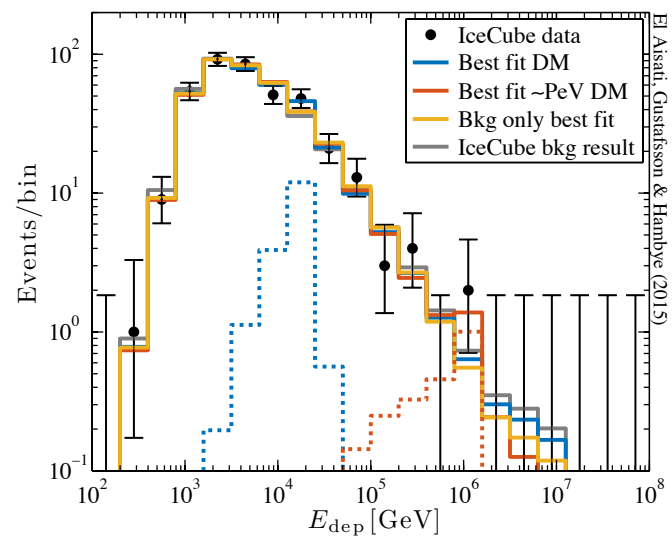
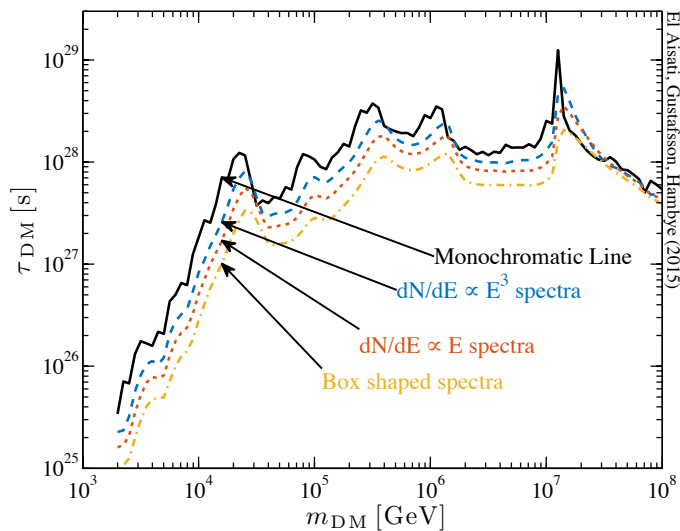
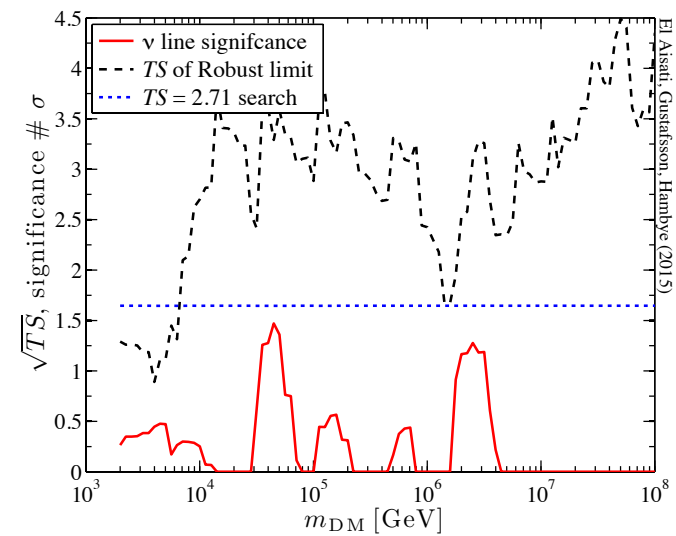
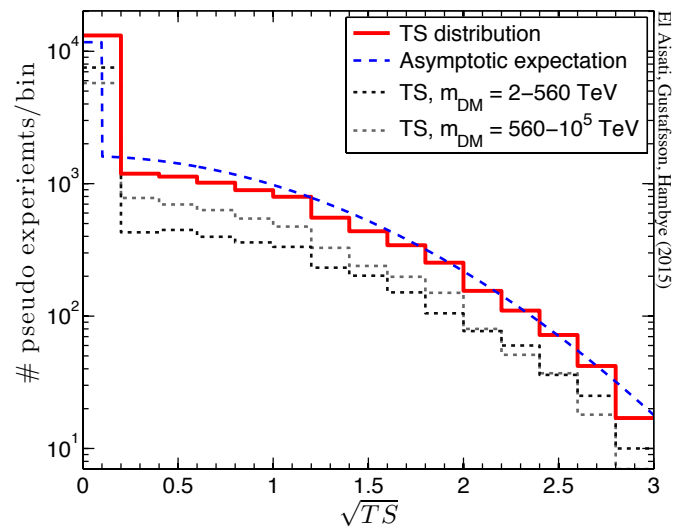
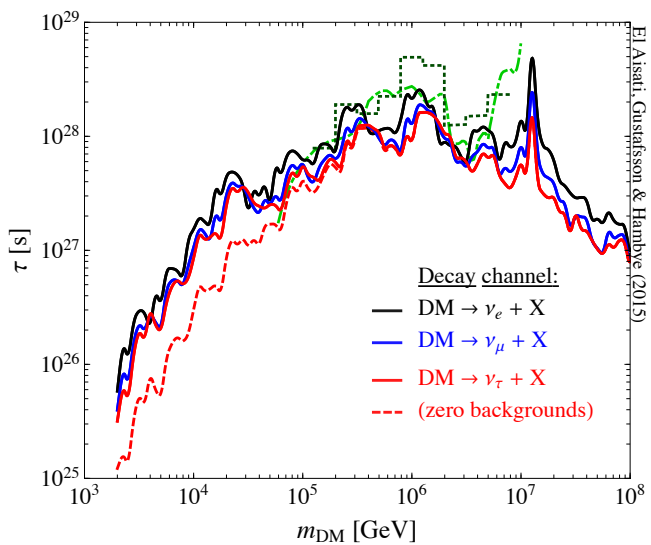
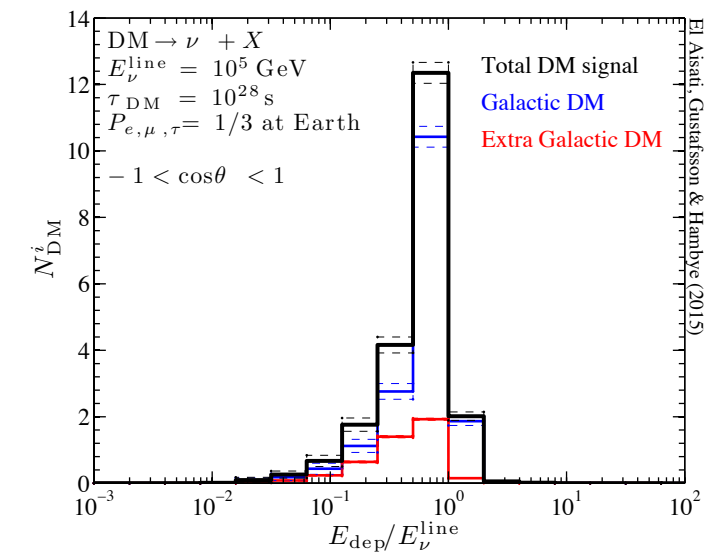
⇒ no evidence for a  $\nu$ -line      ← at most  $1.5\sigma$  at  $E \sim 40$  TeV

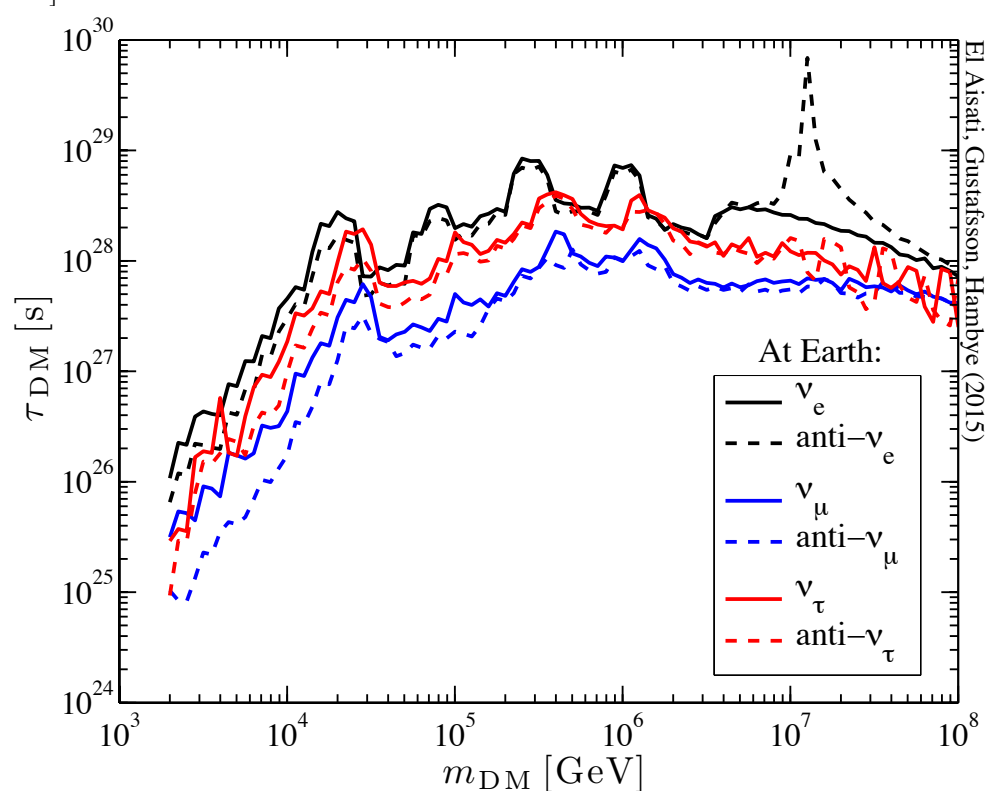
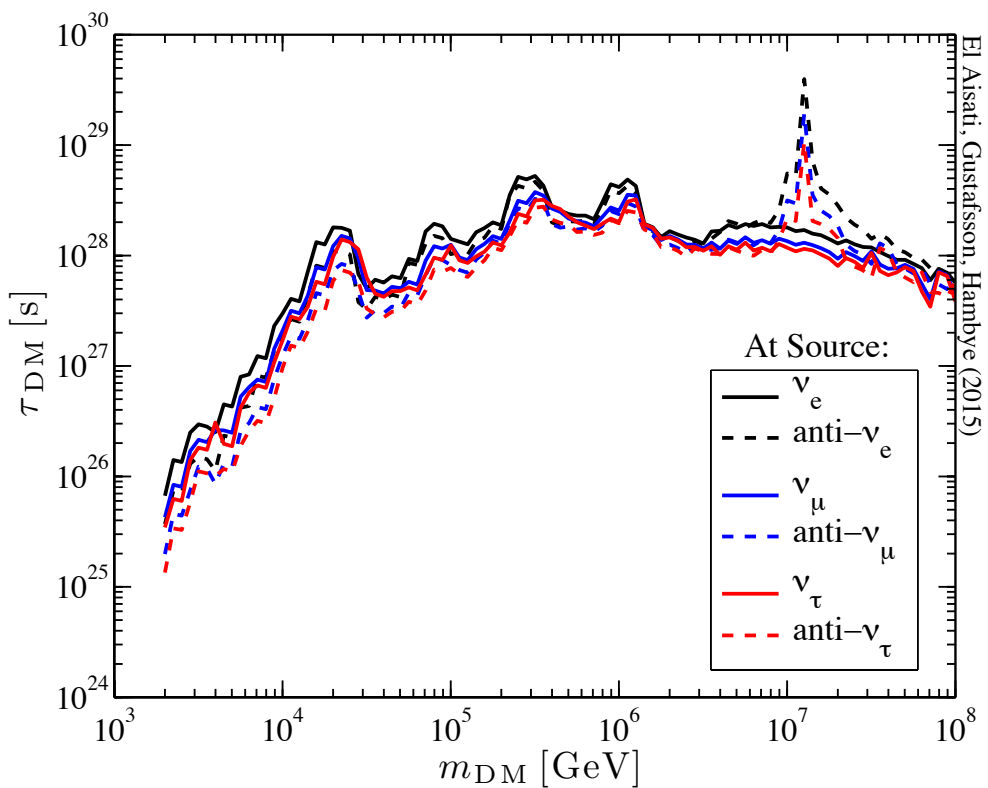
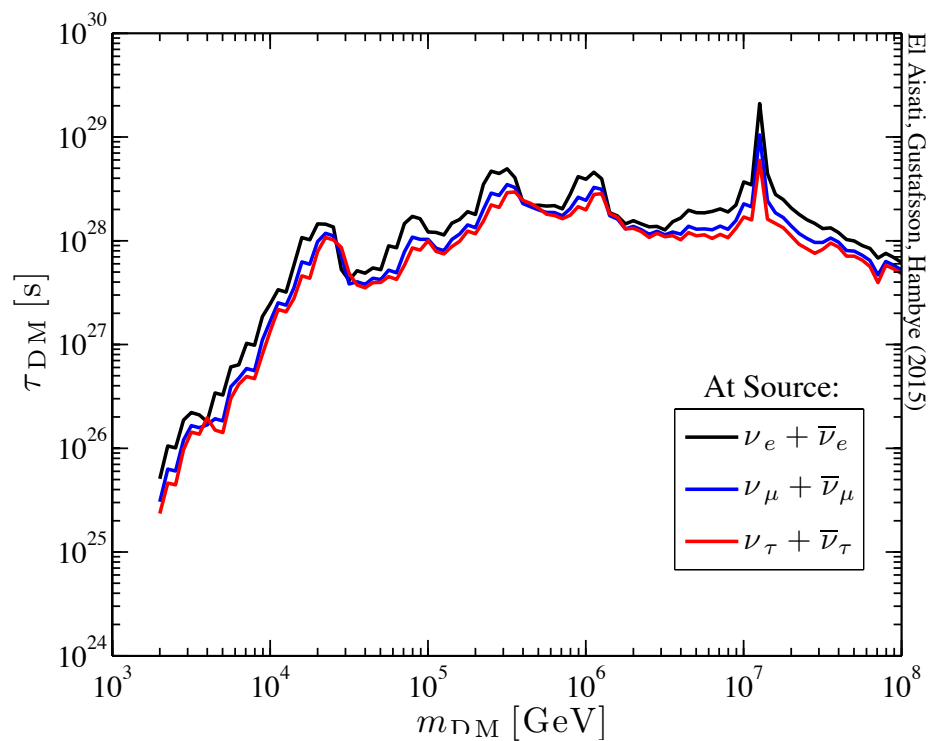
$m_{DM} \gtrsim 100$  TeV bounds in Rott, Kohri, Park '14, Esmaili, Kang, Serpico '14 are similar

# Comparison with previous limits and with $\gamma$ -line limits



between few TeV and 50 TeV,  $\gamma$  and  $\nu$  line sensitivities are similar!  $\leftarrow$  within a factor 1 to 20





*Double smoking gun scenario: details*

# Systematic study of $DM \rightarrow \nu + \gamma$ double smoking gun scenario: EFT

a 2-body radiative decay of a neutral particle is anyway given by non-renormalizable interactions

→ very slow decay: could be natural if the mediator inducing it is heavy, similar to proton case

→ stability due to accidental symmetry

a dim-6 operator mediated by GUT scale gives:  $\tau_{DM} \sim 10^{28}$  sec

$$\mathcal{L}_{eff} = \sum_i \frac{c_i^{dim-5}}{\Lambda_{UV}} \mathcal{O}_i^{dim-5} + \sum_i \frac{c_i^{dim-6}}{\Lambda_{UV}^2} \mathcal{O}_i^{dim-6} + \dots$$

→ very few operators: one dim-5 structure:  $\mathcal{O}^{(5)Y} \equiv \bar{L} \sigma_{\mu\nu} \psi_{DM} F_Y^{\mu\nu}$ ,  
 $\mathcal{O}^{(5)L} \equiv \bar{L} \sigma_{\mu\nu} \psi_{DM} F_L^{\mu\nu}$ ,

3 dim-6 structure:  $\mathcal{O}^{1Y} \equiv \bar{L} \sigma_{\mu\nu} \psi_{DM} F_Y^{\mu\nu} \phi$ ,

$$\mathcal{O}^{1L} \equiv \bar{L} \sigma_{\mu\nu} \psi_{DM} F_L^{\mu\nu} \phi,$$

$$\mathcal{O}^{2Y} \equiv D_\mu \bar{L} \gamma_\nu \psi_{DM} F_Y^{\mu\nu},$$

$$\mathcal{O}^{2L} \equiv D_\mu \bar{L} \gamma_\nu \psi_{DM} F_L^{\mu\nu},$$

$$\mathcal{O}^{3Y} \equiv \bar{L} \gamma_\mu D_\nu \psi_{DM} F_Y^{\mu\nu},$$

$$\mathcal{O}^{3L} \equiv \bar{L} \gamma_\mu D_\nu \psi_{DM} F_L^{\mu\nu},$$



# Systematic study of $DM \rightarrow \nu + \gamma$ double smoking gun scenario: EFT


→ taking into account possible DM quantum numbers DM can be a singlet, doublet, triplet, quadruplet or quintuplet (with  $\phi = H$  or  $\bar{H}$ )

Operator Structure	DM field ( $n$ -plet, $Y$ )	Fields contract. ( $n$ -plet)	Operator
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_Y^{\mu\nu}$	(2, -1)		$\mathcal{O}_{2\text{-let}}^{(5)Y}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_L^{\mu\nu}$	(2, -1) (4, -1)		$\mathcal{O}_{2\text{-let}}^{(5)L}$ $\mathcal{O}_{4\text{-let}}^{(5)L}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_Y^{\mu\nu}H$	(1, 0) (3, 0)		$\mathcal{O}_{H,1\text{-let}}^{1Y}$ $\mathcal{O}_{H,3\text{-let}}^{1Y}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_L^{\mu\nu}H$	(1, 0)		$\mathcal{O}_{H,1\text{-let}}^{1L}$
	(3, 0)	a: $(\bar{L}H) = 1$	$\mathcal{O}_{H,3\text{-let}}^{1L,a}$
	(3, 0)	c: $(\psi_{DM}H) = 2$	$\mathcal{O}_{H,3\text{-let}}^{1L,c}$
	(3, 0)	d: $(\psi_{DM}H) = 4$	$\mathcal{O}_{H,3\text{-let}}^{1L,d}$
	(3, 0)	e: $(\bar{L}\psi_{DM}) = 2$	$\mathcal{O}_{H,3\text{-let}}^{1L,e}$
	(3, 0)	f: $(\bar{L}\psi_{DM}) = 4$	$\mathcal{O}_{H,3\text{-let}}^{1L,f}$
	(5, 0)		$\mathcal{O}_{H,5\text{-let}}^{1L}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_Y^{\mu\nu}\tilde{H}$	(3, -2)		$\mathcal{O}_{\tilde{H},3\text{-let}}^{1Y}$
$\bar{L}\sigma_{\mu\nu}\psi_{DM}F_L^{\mu\nu}\tilde{H}$	(3, -2)	b: $(\bar{L}\tilde{H}) = 3$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,b}$
	(3, -2)	c: $(\psi_{DM}\tilde{H}) = 2$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,c}$
	(3, -2)	d: $(\psi_{DM}\tilde{H}) = 4$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,d}$
	(3, -2)	e: $(\bar{L}\psi_{DM}) = 2$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,e}$
	(3, -2)	f: $(\bar{L}\psi_{DM}) = 4$	$\mathcal{O}_{\tilde{H},3\text{-let}}^{1L,f}$
	(5, -2)		$\mathcal{O}_{\tilde{H},5\text{-let}}^{1L}$
$D_\mu\bar{L}\gamma_\nu\psi_{DM}F_Y^{\mu\nu}$	(2, -1)		$\mathcal{O}_{2\text{-let}}^{2Y}$
$D_\mu\bar{L}\gamma_\nu\psi_{DM}F_L^{\mu\nu}$	(2, -1) (4, -1)		$\mathcal{O}_{2\text{-let}}^{2L}$ $\mathcal{O}_{4\text{-let}}^{2L}$
$\bar{L}\gamma_\mu D_\nu\psi_{DM}F_Y^{\mu\nu}$	(2, -1)		$\mathcal{O}_{2\text{-let}}^{3Y}$
$\bar{L}\gamma_\mu D_\nu\psi_{DM}F_L^{\mu\nu}$	(2, -1) (4, -1)		$\mathcal{O}_{2\text{-let}}^{3L}$ $\mathcal{O}_{4\text{-let}}^{3L}$

# Operator predictions: line energies and intensities

I) same line energies

II) correlated line intensities: more  $\nu$  than  $\gamma$

 gauge invariance:  $F_{\mu\nu}^Y$  or  $F_{\mu\nu}^L \Rightarrow DM \rightarrow \nu\gamma, \nu Z, lW$

if operator has a  $F_{\mu\nu}^Y$  and  $m_{DM} \gg m_Z$ :  $\frac{n_\nu}{n_\gamma} = \frac{1}{\cos^2 \theta_W} = 1.3$

if operator has a  $F_{\mu\nu}^L$  and  $m_{DM} \gg m_Z$ :  $\frac{n_\nu}{n_\gamma} = \frac{1}{\sin^2 \theta_W} = 4.3$

if combination of operators:  $\frac{n_\nu}{n_\gamma} \geq 1$  and of order 1 unless tuning

# Operator predictions: additional continuum fluxes of cosmic rays

  $Z, W, l$  produce  $\bar{p}, \gamma_D, e^\pm, \dots$

It turns out that all operators can give only 5 possible line intensity to CR number ratios

operators with a  $F_{\mu\nu}^Y$ :

$$A: R_{\gamma/CR} = \cos^2 \theta_W / (\sin^2 \theta_W \cdot n_{CR/Z}),$$

only  $DM \rightarrow \gamma\nu, Z\nu$  channels

operators with a  $F_{\mu\nu}^L$ :

$$C: R_{\gamma/CR} = \sin^2 \theta_W / (\cos^2 \theta_W \cdot n_{CR/Z}),$$

$$D, E, F: R_{\gamma/CR} = \frac{\sin^2 \theta_W}{\cos^2 \theta_W \cdot n_{CR/Z} + c_W \cdot (n_{CR/W+l-} + n_{CR/W-l+})}$$

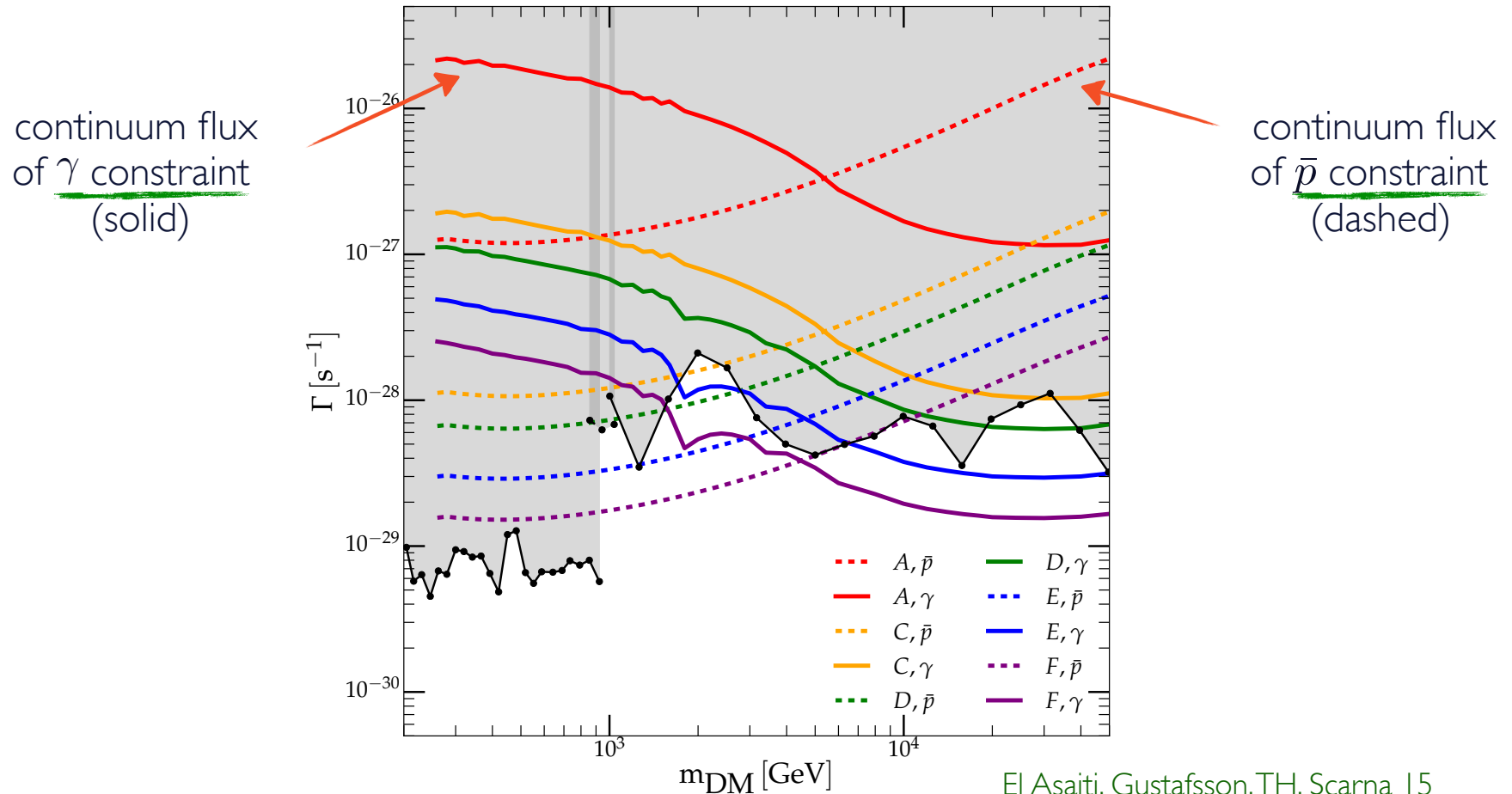
$$c_W = \frac{1}{4}, 1, \frac{9}{4}$$

$DM \rightarrow \gamma\nu, Z\nu, Wl$  channels

$DM$ field $n$ -plet, $Y$	Operator	Prediction	
		$R_{\nu/\gamma}$	$R_{\gamma/CR}$
1 0	$\mathcal{O}_H^{1Y}$	1.3	A
	$\mathcal{O}_H^{1L}$	4.3	E
2 -1	$\mathcal{O}^{(5)Y}, \mathcal{O}^{2Y}, \mathcal{O}^{3Y}$	1.3	A
	$\mathcal{O}^{(5)L}, \mathcal{O}^{2L}, \mathcal{O}^{3L}$	4.3	E
3 0	$\mathcal{O}_H^{1Y}$	1.3	A
	$\mathcal{O}_H^{1L,a}$	4.3	C
	$\mathcal{O}_H^{1L,d}, \mathcal{O}_H^{1L,f}$	4.3	D
	$\mathcal{O}_H^{1L,c}, \mathcal{O}_H^{1L,e}$	4.3	E
3 -2	$\mathcal{O}_{\tilde{H}}^{1Y}$	1.3	A
	$\mathcal{O}_{\tilde{H}}^{1L,e}$	4.3	C
	$\mathcal{O}_{\tilde{H}}^{1L,b}, \mathcal{O}_{\tilde{H}}^{1L,d}$	4.3	D
	$\mathcal{O}_{\tilde{H}}^{1L,c}$	4.3	E
	$\mathcal{O}_{\tilde{H}}^{1L,f}$	4.3	F
4 -1	$\mathcal{O}^{(5)L}, \mathcal{O}^{2L}, \mathcal{O}^{3L}$	4.3	D
5 0	$\mathcal{O}_H^{1L}$	4.3	D
5 -2	$\mathcal{O}_{\tilde{H}}^{1L}$	4.3	D

# Operator predictions: additional continuum fluxes of cosmic rays

upper bound on  $\gamma$ -line intensity from imposing that associated CR flux doesn't exceed observed ones



clear possibilities to have double monochromatic DM evidence + observation of associated CR excess!

# Importance of 3-body decays for operators involving a scalar field

$$\mathcal{O}^{1Y} \equiv \bar{L} \sigma_{\mu\nu} \psi_{DM} F_Y^{\mu\nu} \phi,$$

$$\mathcal{O}^{1L} \equiv \bar{L} \sigma_{\mu\nu} \psi_{DM} F_L^{\mu\nu} \phi,$$

$$\Gamma_{2\text{-body}} \propto \frac{1}{8\pi} \frac{v_\phi^2}{m_{DM}}$$

$$\Gamma_{3\text{-body}} \propto \frac{1}{128\pi^3} m_{DM}$$


$$\frac{\Gamma_{3\text{-body}}}{\Gamma_{2\text{-body}}} \sim \frac{1}{16\pi^2} \frac{m_{DM}^2}{v_\phi^2} \Rightarrow \text{3-body channels dominate 2-body channels for } m_{DM} \gtrsim 4 \text{ TeV}$$

(with  $\phi = H$  or  $\bar{H}$ )

## 3-body channel consequences

$$\psi_{DM} \rightarrow \nu\gamma h, \nu\gamma Z_L, l\gamma W_L, \nu Zh, \nu ZZ_L, lZW_L, lWh, lWZ_L, \nu WW_L$$

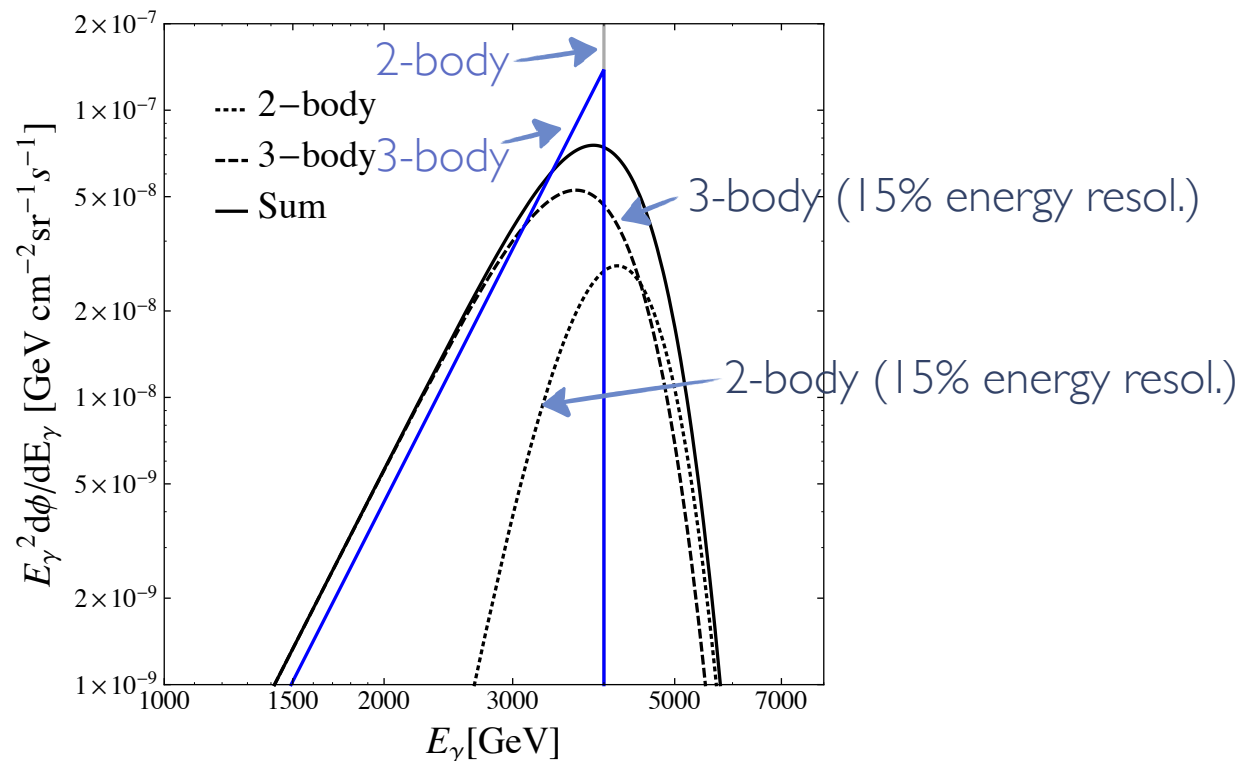
- additional cosmic rays

# 3-body channel consequences

$$\psi_{DM} \rightarrow \nu\gamma h, \nu\gamma Z_L, l\gamma W_L, \nu Zh, \nu ZZ_L, lZW_L, lWh, lWZ_L, \nu WW_L$$

- additional cosmic rays
- additional  $\gamma$  sharp spectral features

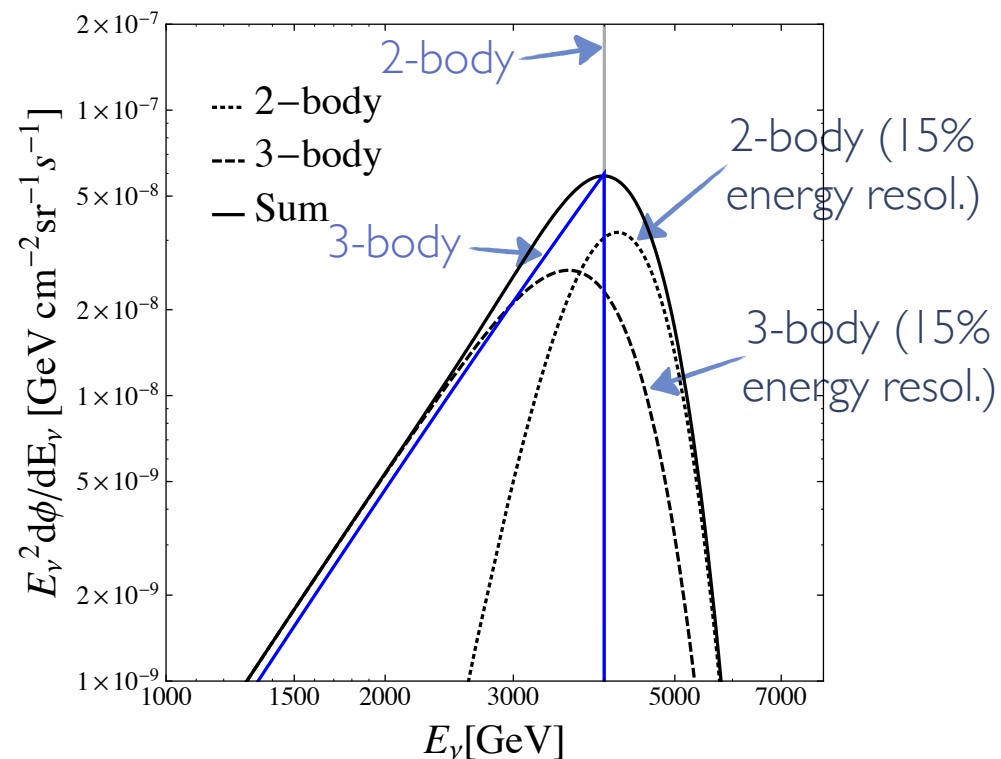
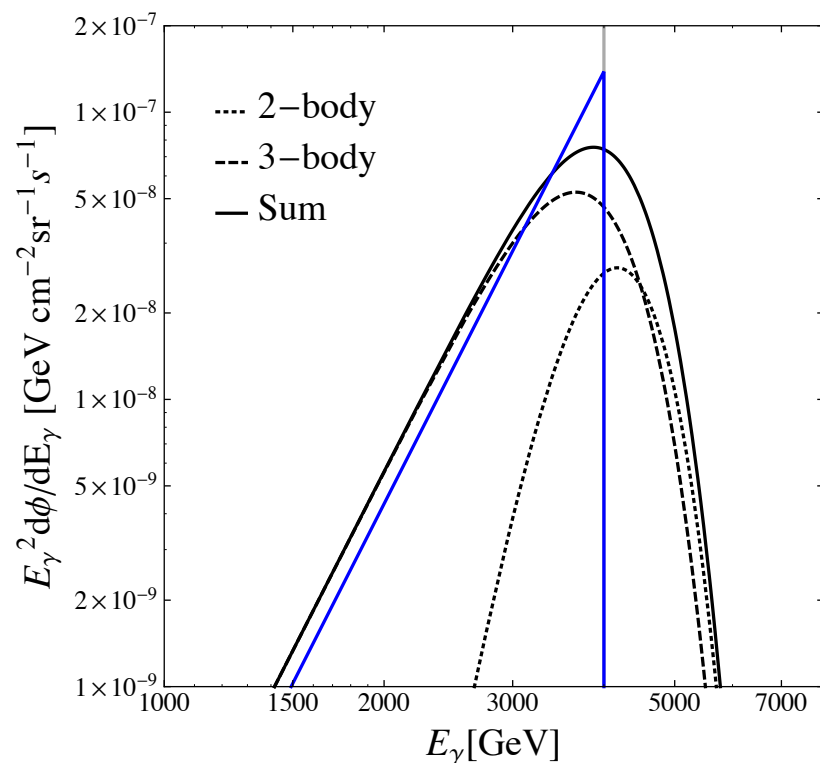
$DM \rightarrow \nu\gamma h$ : similar to internal bremsstrahlung



# 3-body channel consequences

$$\psi_{DM} \rightarrow \nu\gamma h, \nu\gamma Z_L, l\gamma W_L, \nu Zh, \nu ZZ_L, lZW_L, lWh, lWZ_L, \nu WW_L$$

- additional cosmic rays
  - additional  $\gamma$  sharp spectral features
  - additional  $\nu$  sharp spectral features!
- $DM \rightarrow \nu\gamma h$ : similar to internal bremsstrahlung  $DM \rightarrow \nu\gamma h$ : “neutrino internal bremsstrahlung”

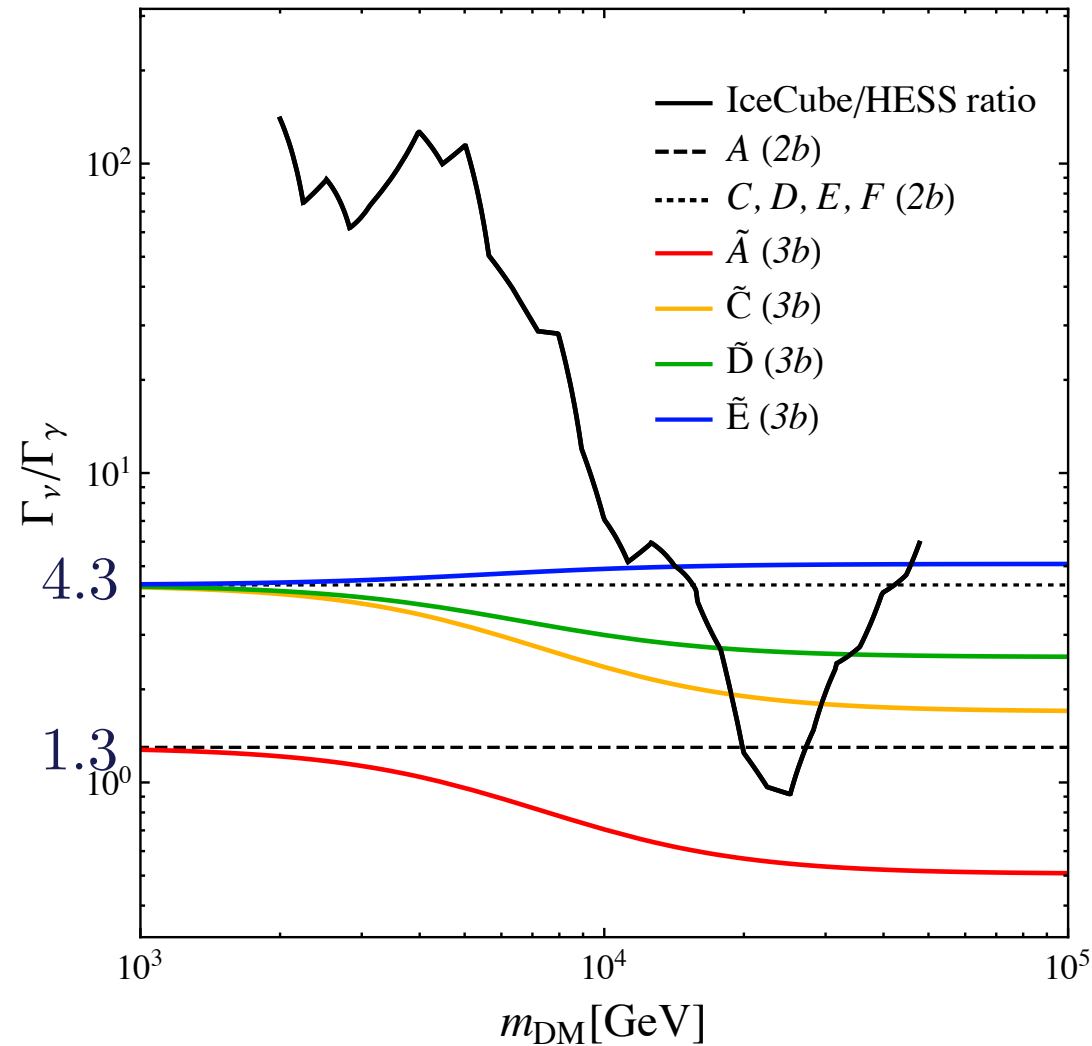


must be looked for by Icecube too!



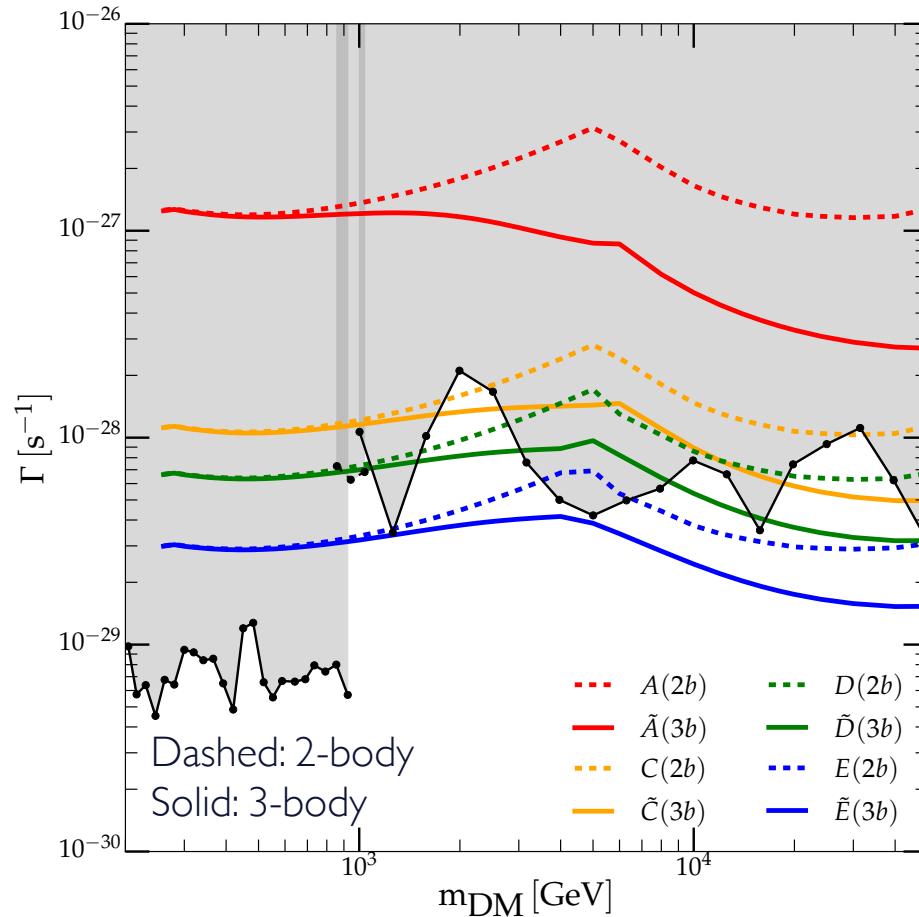
# Summing 2 and 3 body sharp feature $\gamma$ and $\nu$

ratios of  $\nu$  sharp feature intensity to  $\gamma$  sharp feature intensity

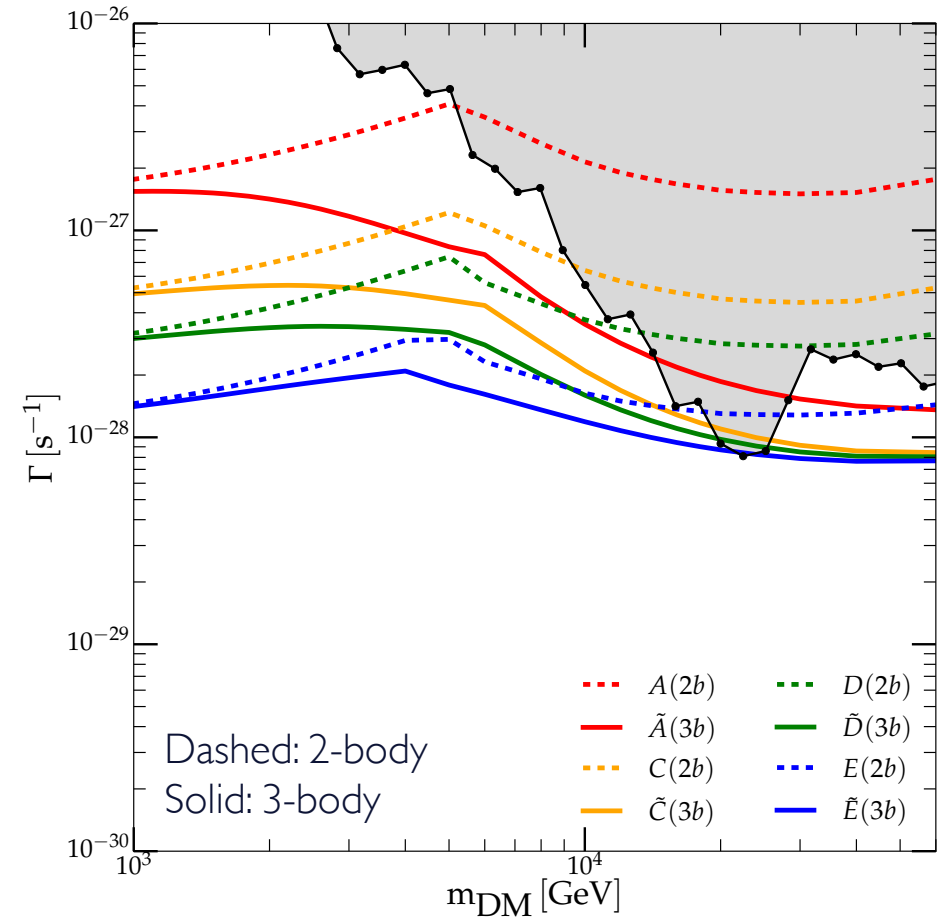


# Summing 2 and 3 body sharp feature $\gamma$ and $\nu$ : upper limits

Upper limits on  $\gamma$  spectral sharp feature intensity:



Upper limits on  $\nu$  spectral sharp feature intensity:



clear possibilities to have double monochromatic DM



evidence + observation of associated CR excess!

and to distinguish classes of operators and scenarios