



# The A4 experiment



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PAVI 11

*From parity violation to hadronic structure and more ...*

Rome, Italy  
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# Outline

- The A4 experiment at MAMI

- A4-II

Backward, hydrogen  
Backward, deuterium

- A4-III

Forward,  $Q^2=0.62 \text{ GeV}^2$

- A4-IV

Backward,  $Q^2=0.11 \text{ GeV}^2$



# A4: The early years



Participants of the Workshop on Parity Violation in Electron Scattering  
at Caltech, February 1990.

# A4: The early years

D. v. Harrach: *Proposal for an Experiment „Measurement of Parity Violating Electron Scattering on Hydrogen“, MAMI Exp. Nr. A4/1-93*

➤ E= 855 MeV, Θ=35°, H<sub>2</sub>

# A4: The early years

D. v. Harrach: *Proposal for an Experiment „Measurement of Parity Violating Electron Scattering on Hydrogen“, MAMI Exp. Nr. A4/1-93*

**Proposal: 1993**

- E= 855 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>

**Measurement carried out: 2001 - 2003**

# A4: Many years

~ 20 measurements, ~6.000 h data taking, 84219 runs

**Forward  
angle**

**Longitudinal**

- E= 855 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 570 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E=1508 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>

**Backward  
angle**

- E= 315 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 315 MeV,  $\Theta=35^\circ$ , D<sub>2</sub>
- E= 210 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 210 MeV,  $\Theta=35^\circ$ , D<sub>2</sub>

**Transverse**

- E= 855 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 570 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E=1508 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 510 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 420 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 315 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>

- E= 315 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 315 MeV,  $\Theta=35^\circ$ , D<sub>2</sub>
- E= 420 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 420 MeV,  $\Theta=35^\circ$ , D<sub>2</sub>
- E= 210 MeV,  $\Theta=35^\circ$ , H<sub>2</sub>
- E= 210 MeV,  $\Theta=35^\circ$ , D<sub>2</sub>

# Extraction of form factors

Parity violating asymmetry (proton target):

$$A^{PV} = A_V + A_A + A_S$$

$$A_V = -\frac{G_F Q^2}{4\pi\alpha\sqrt{2}} \left( (1 - 4\sin^2\Theta_w) - \frac{\varepsilon G_E^p G_E^n + \tau G_M^p G_M^n}{\varepsilon(G_E^p)^2 + \tau(G_M^p)^2} \right)$$

**Standard model  
calculation**

$$A_A = -\frac{G_F Q^2}{4\pi\alpha\sqrt{2}} \left( -\frac{(1 - 4\sin^2\Theta_w)\sqrt{1-\varepsilon^2}\sqrt{\tau(1+\tau)}G_M^p G_A^p}{\varepsilon(G_E^p)^2 + \tau(G_M^p)^2} \right)$$

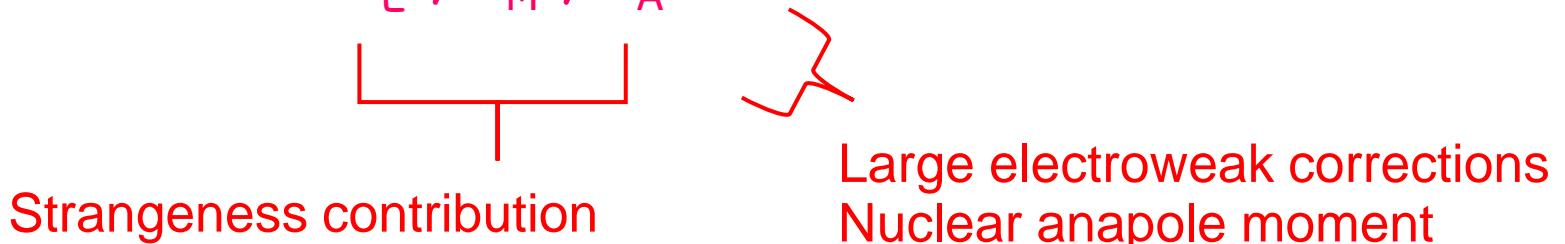
**Axial form factor**

$$A_S = -\frac{G_F Q^2}{4\pi\alpha\sqrt{2}} \left( -\frac{\varepsilon G_E^p G_E^s + \tau G_M^p G_M^s}{\varepsilon(G_E^p)^2 + \tau(G_M^p)^2} \right)$$

**Strange form factors**

# Measurement of strange form factors

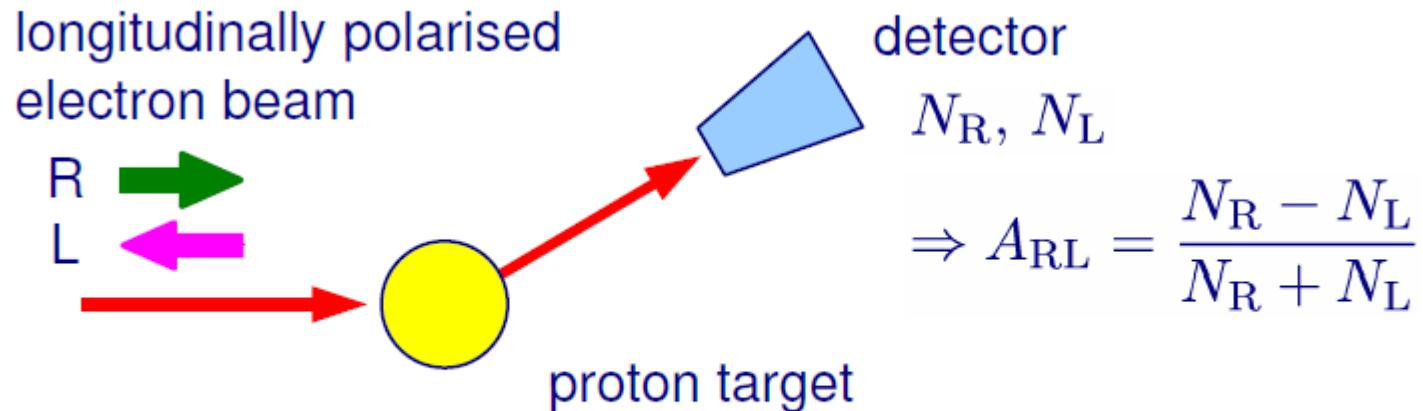
Three quantities to measure:  $G_E^S, G_M^S, G_A$



For a specific momentum transfer  $Q^2$ : At least three measurements

Scattering experiment	sensitive to
• e + p (elastic), forward angles:	$G_E^S$ and $G_M^S$
• e + p (elastic), backward angles:	$G_M^S$ and $G_A$
• e + ${}^4\text{He}$ (elastic), forward angles:	$G_E^S$
• e + d (quasi-elastic), backward angles:	$G_M^S$ and $G_A$

# A4 experimental principle



- Statistical uncertainty

for a counting experiment:

$$A = 10^{-6}$$

$$\delta A = \frac{1}{\sqrt{N}} \simeq 10^{-7}$$

$$\Rightarrow N \simeq 10^{14}$$

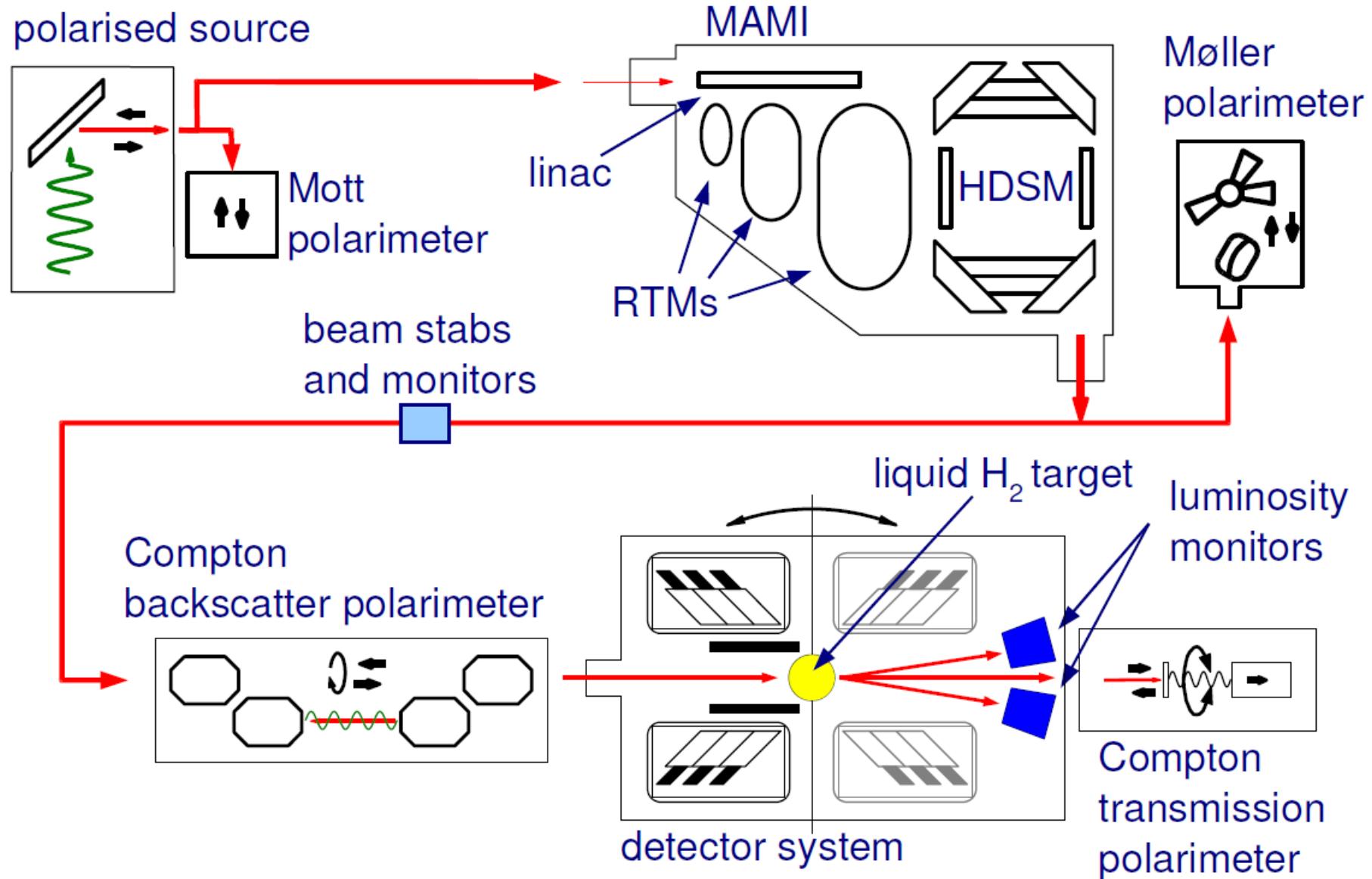
1000 hours  $\Rightarrow \sim 10 \text{ MHz}$

- high luminosity
- large acceptance
- fast detector

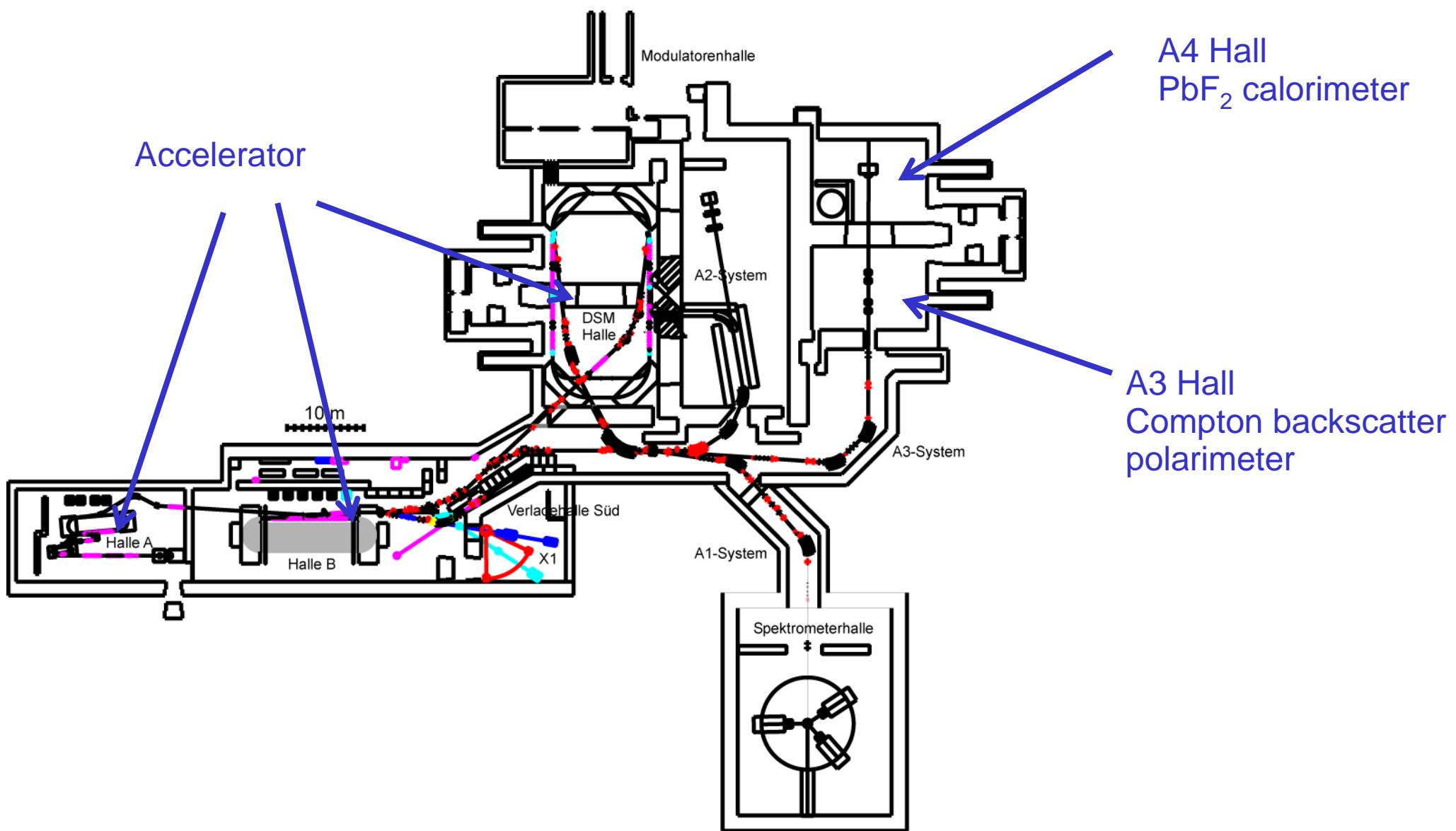
- Systematic uncertainty

- helicity correlated fluctuations
- polarisation measurement

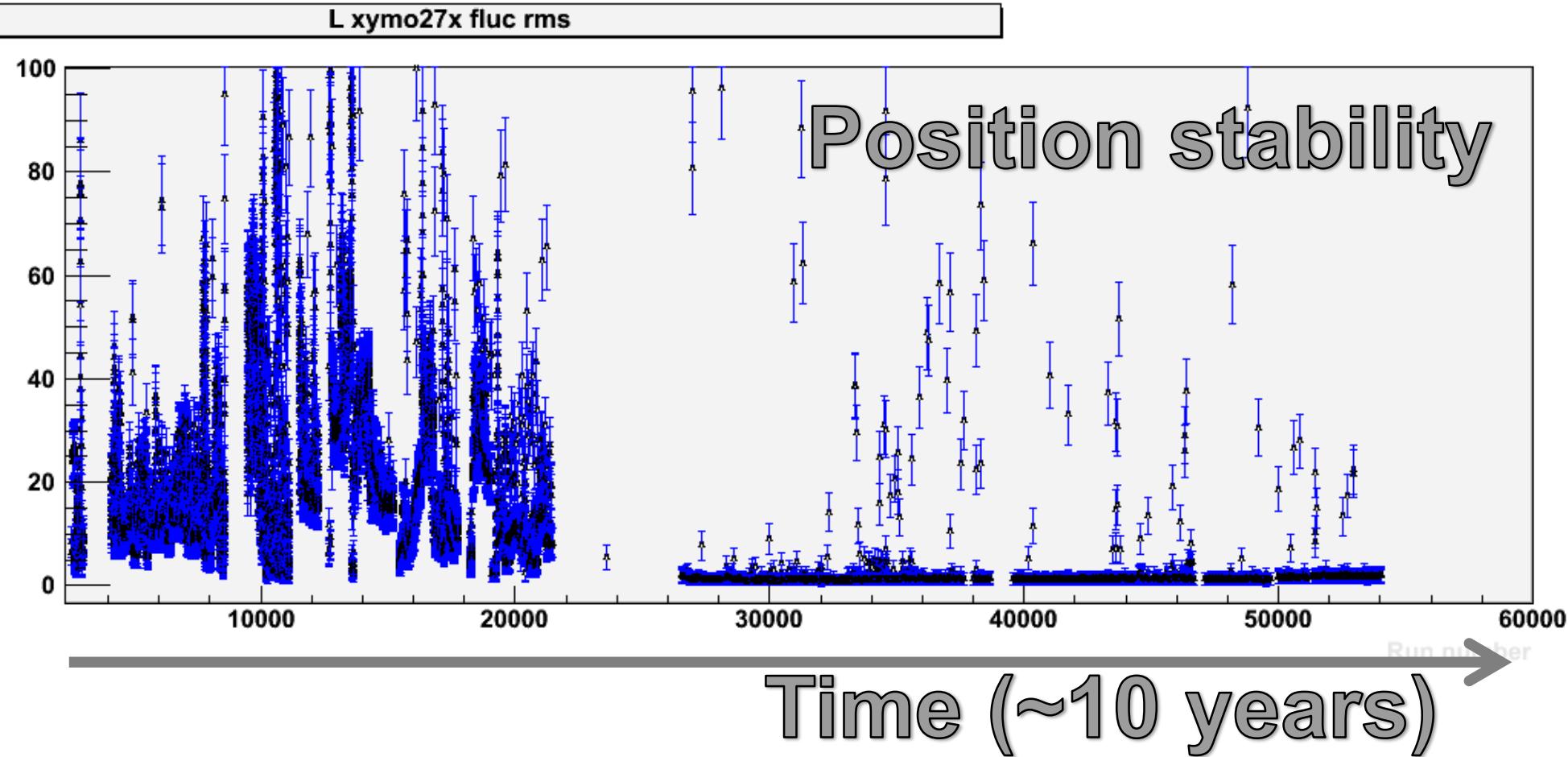
# A4 Experiment at MAMI



# MAMI facility

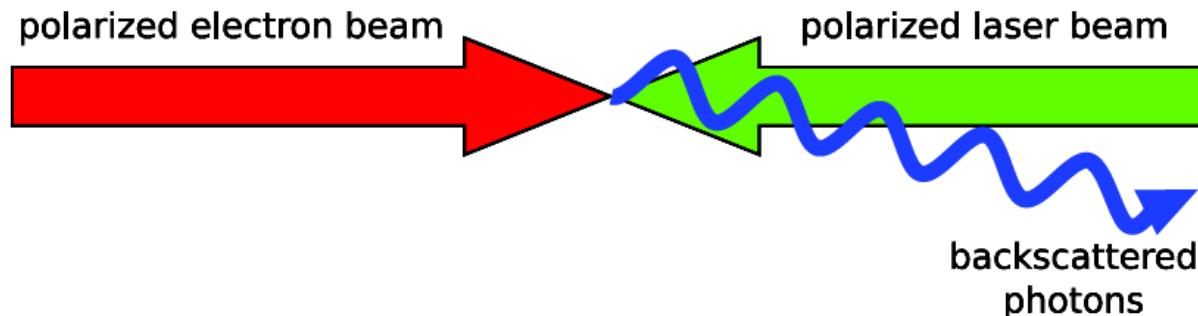


# MAMI: Control of beam parameters



- Average helicity correlated position differences < 100 nm
- Average helicity correlated angle differences < 10 nrad

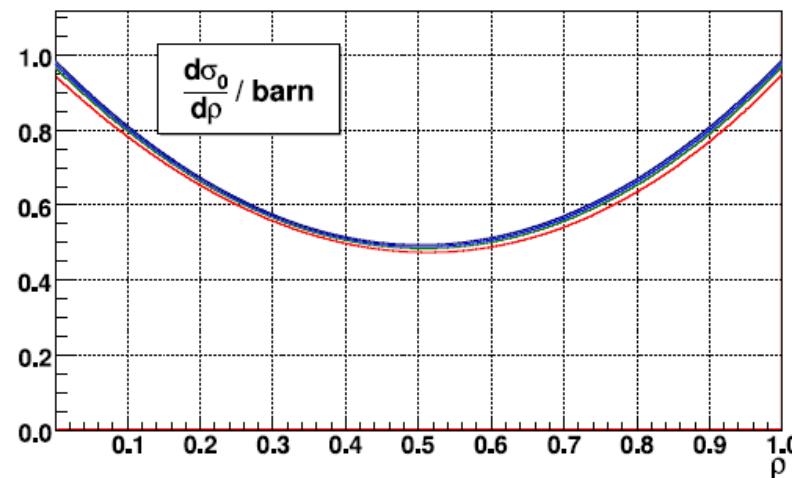
# Compton Backscatter Polarimeter



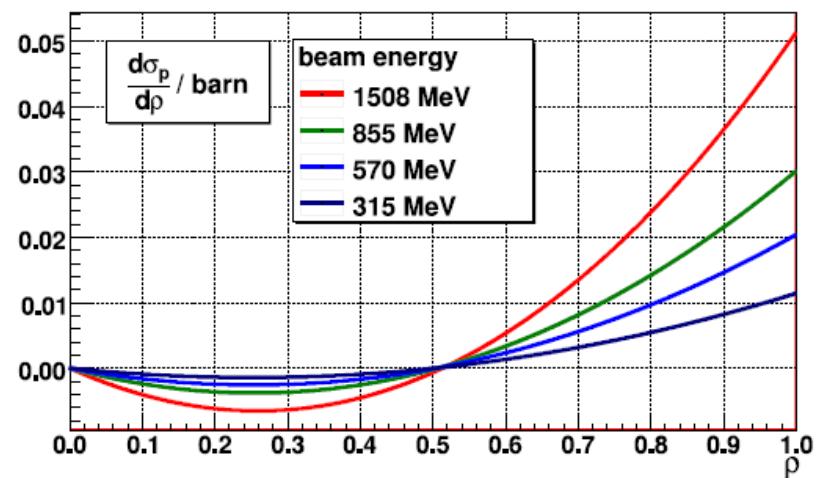
$$\sigma = \sigma_0 \mp P_e P_\gamma \sigma_p$$

$$\rho = k/k_{max}$$

spin in-dependent cross section

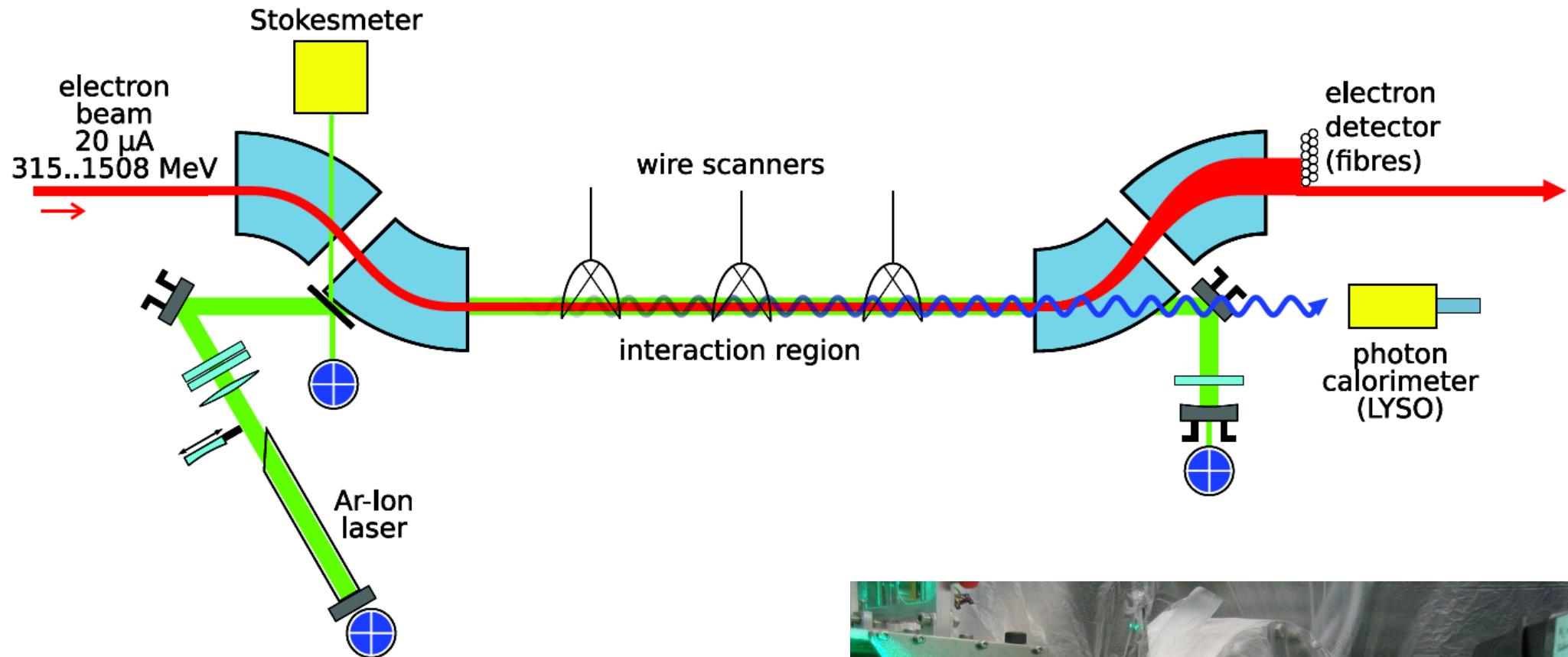


spin dependent cross section

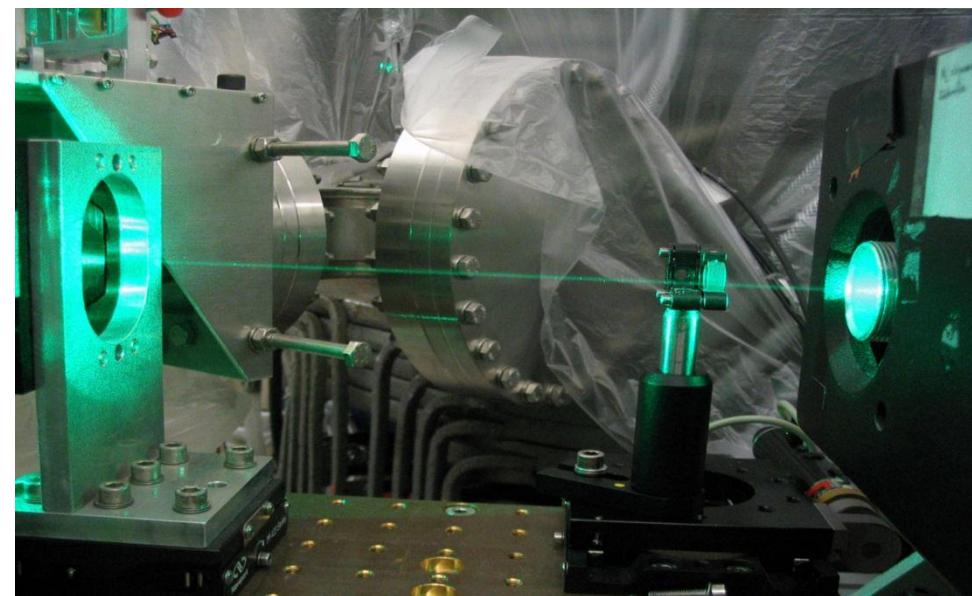


514.5 nm Argon-Ion laser light

# Compton Backscatter Polarimeter



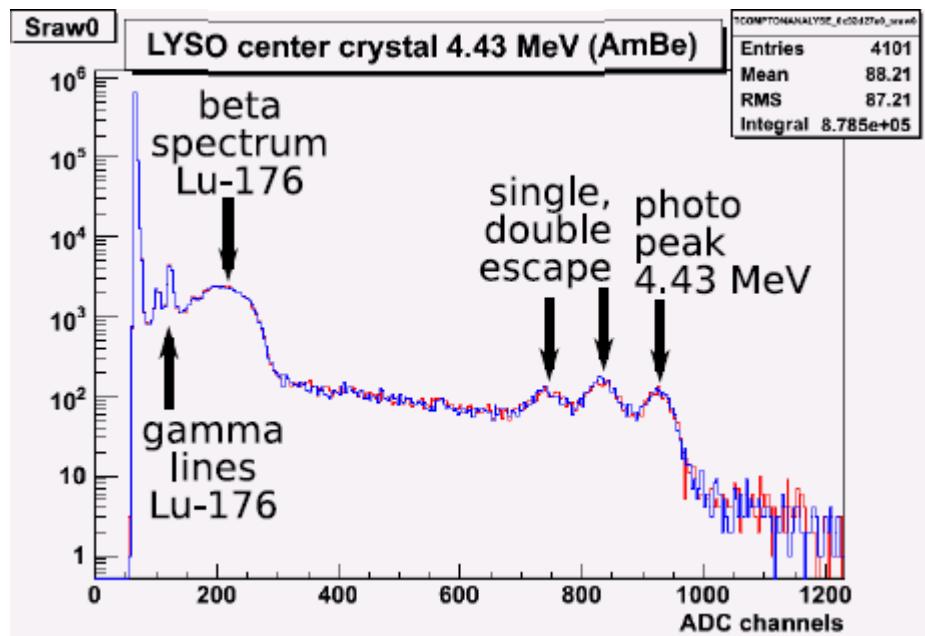
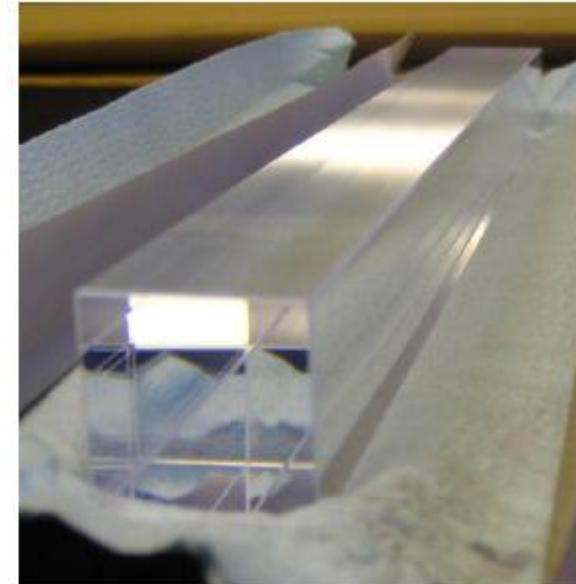
- Ar-Ion Laser, 514.5 nm
- 7.8 m internal cavity
- Zero crossing angle



# Compton Backscatter Photon Detector

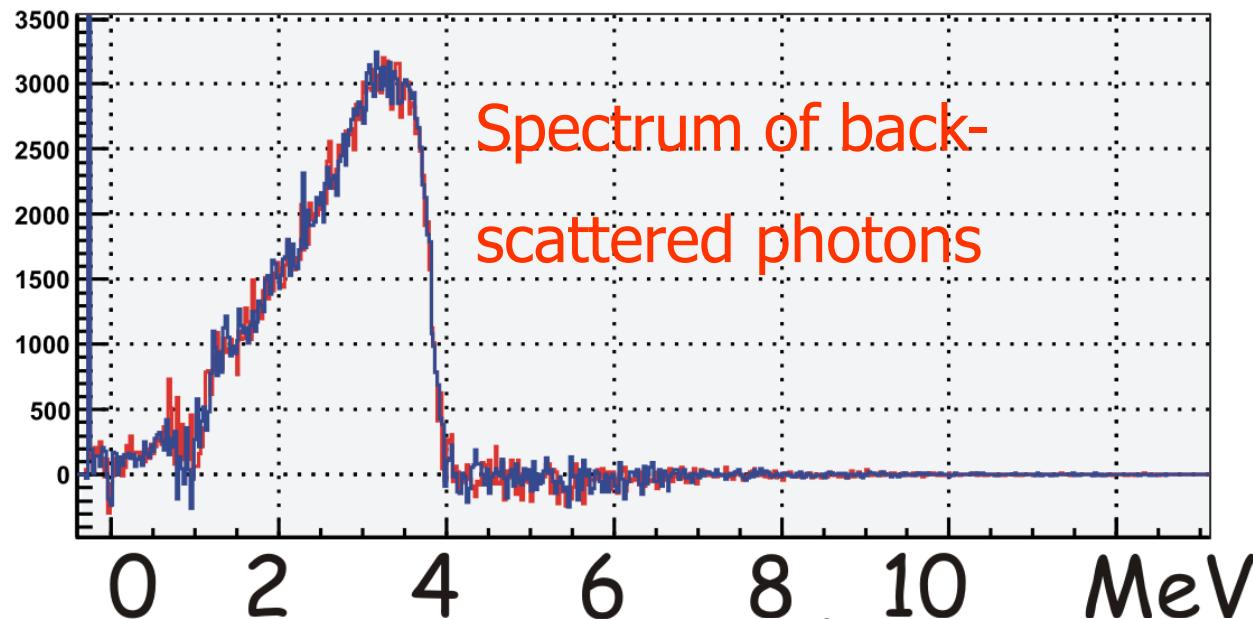
**LYSO ( $Lu_{1.8} Y_{0.2} SiO_5$ ),  
PreLude420 from Saint Gobain**

- density:  $7.1 \text{ g/cm}^3$
- rad. length: 12 mm
- decay time: 41 ns
- light yield: 32 photons/keV,  
i.e.  $\approx 75\%$  of NaI(Tl)



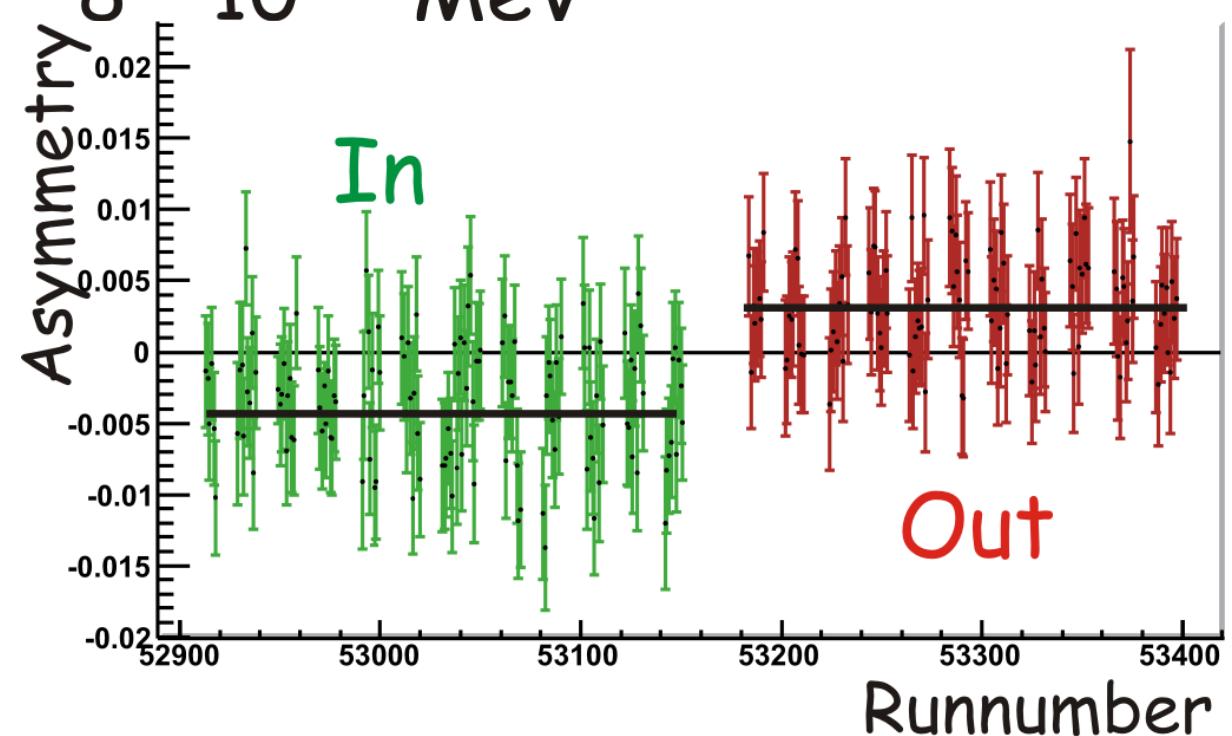
- 3x3 crystals of  $20 \times 20 \times 200 \text{ mm}^3$
- **Fast, compact calorimeter for 1.5 ... 100 MeV photons**

# Compton Backscatter Measurements



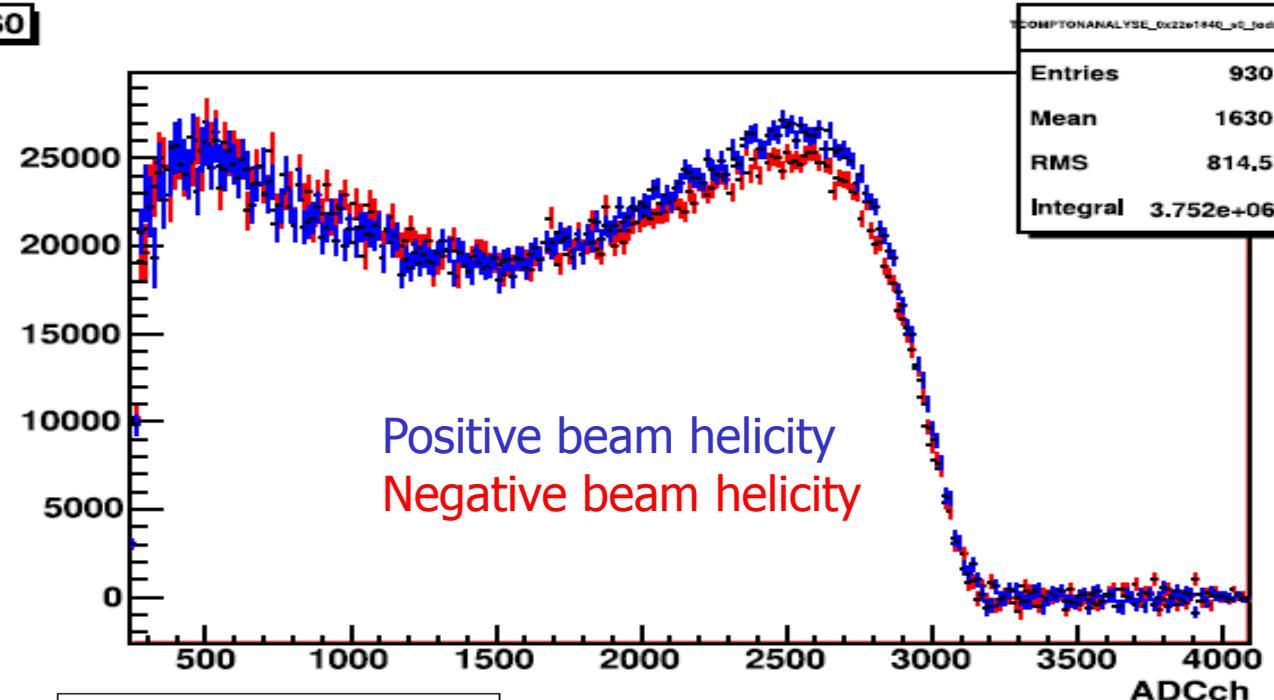
Low beam energy:  
 $E_{beam} = 315 \text{ MeV}$ !

$$A_{\text{compton}} \sim P_{\text{laser}} \times P_{\text{beam}}$$



# Compton Backscatter Measurements

S0

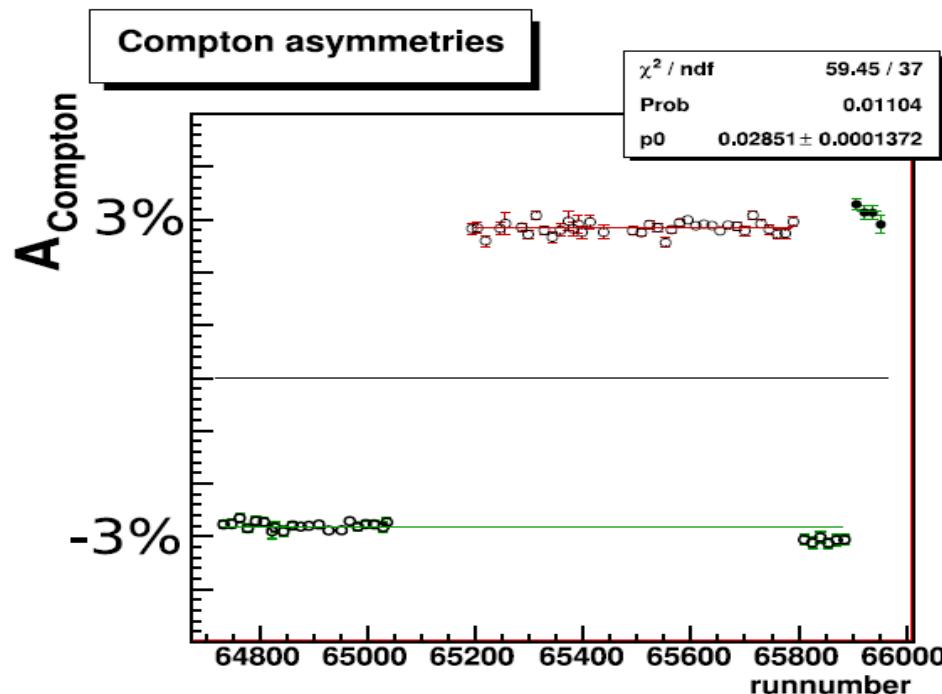


Beam energy:

$$E_{\text{beam}} = 1508 \text{ MeV}$$

=> Asymmetry can be seen in 5min run!

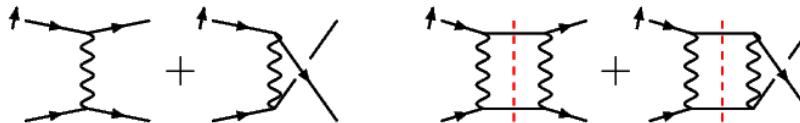
(Red riding hood/blue riding hood)



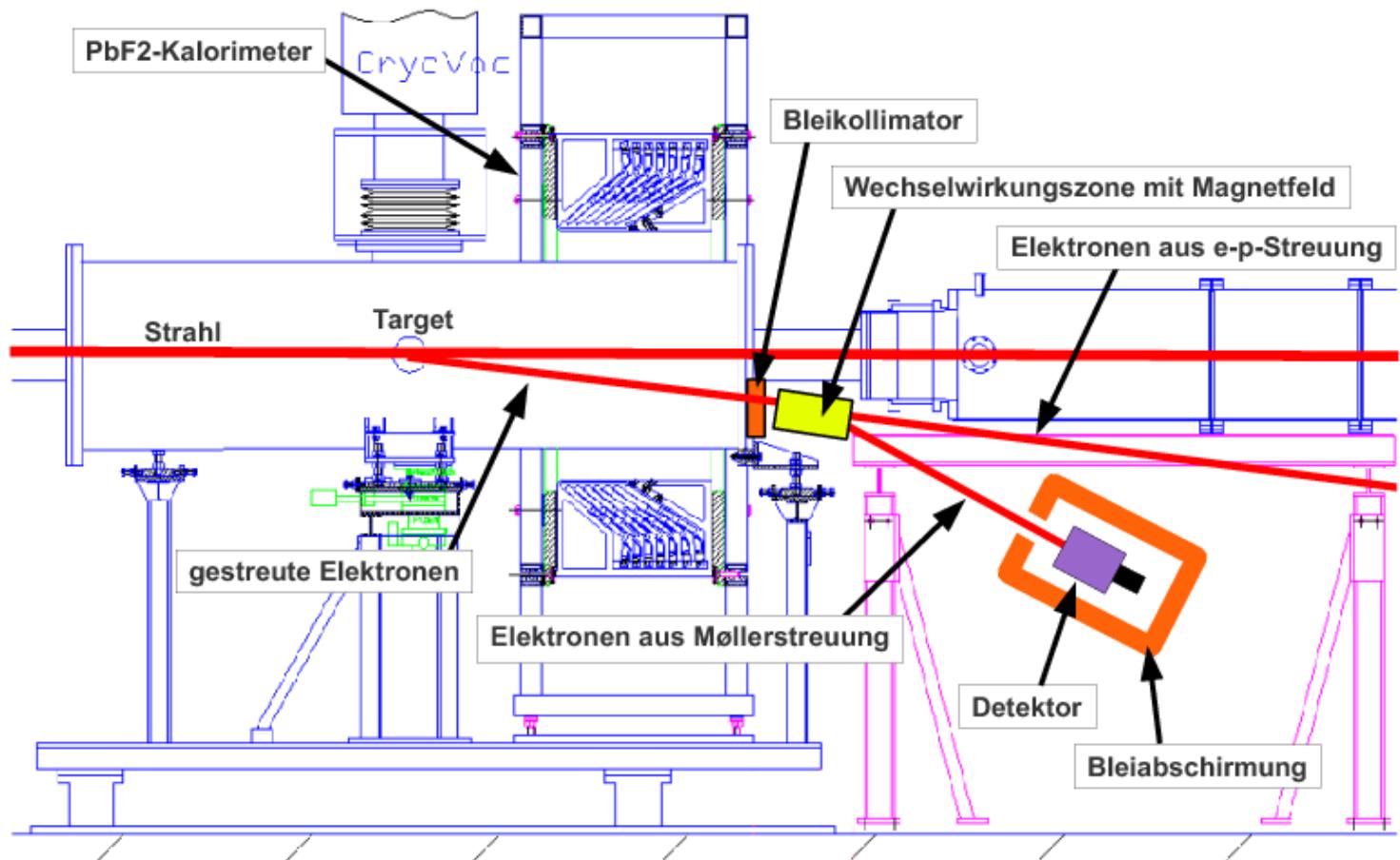
- Routine operation during beamtimes
- Statistical precision:  
~ 1% within 24 h for 855 MeV  
< 1% within 12 h for 1508 MeV

# S.A.M.S. - Measurement of transverse beam polarization

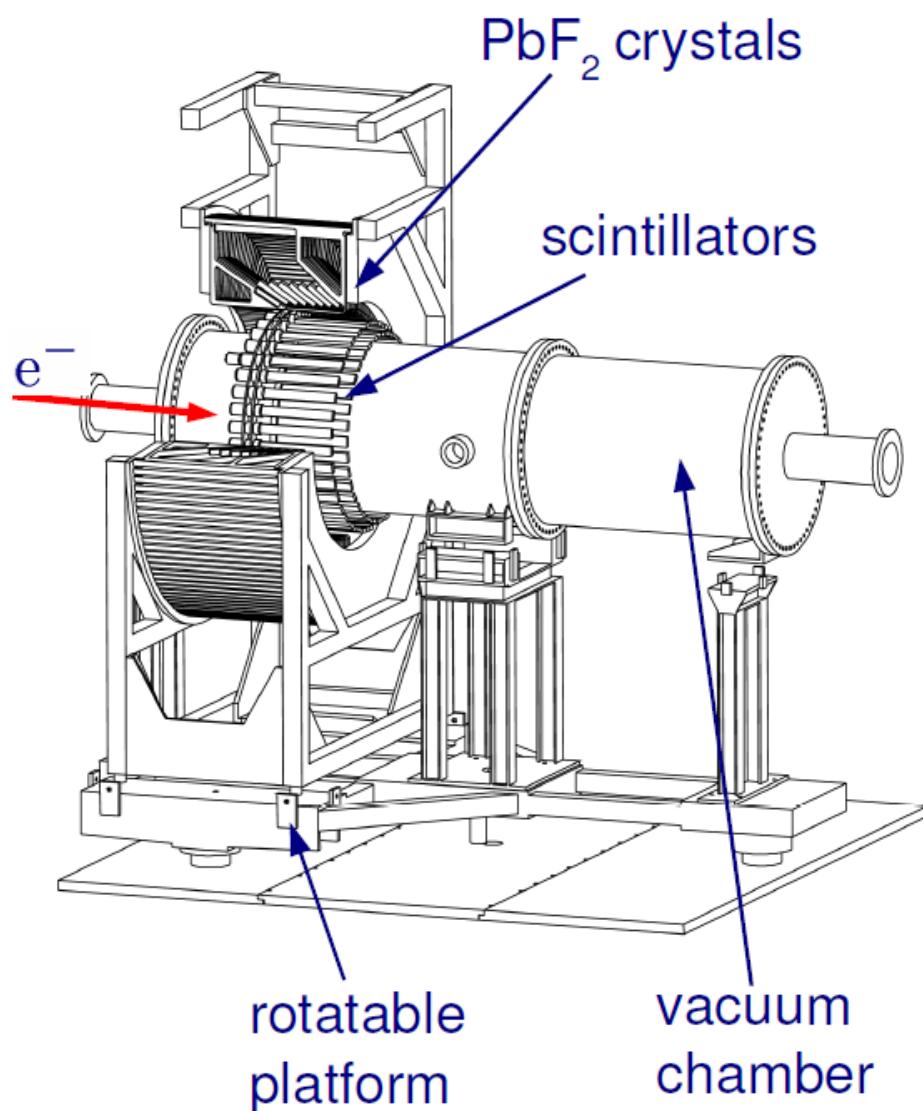
- Two-Photon exchange in Moller scattering



- Clean QED process



# A4 Lead fluoride calorimeter



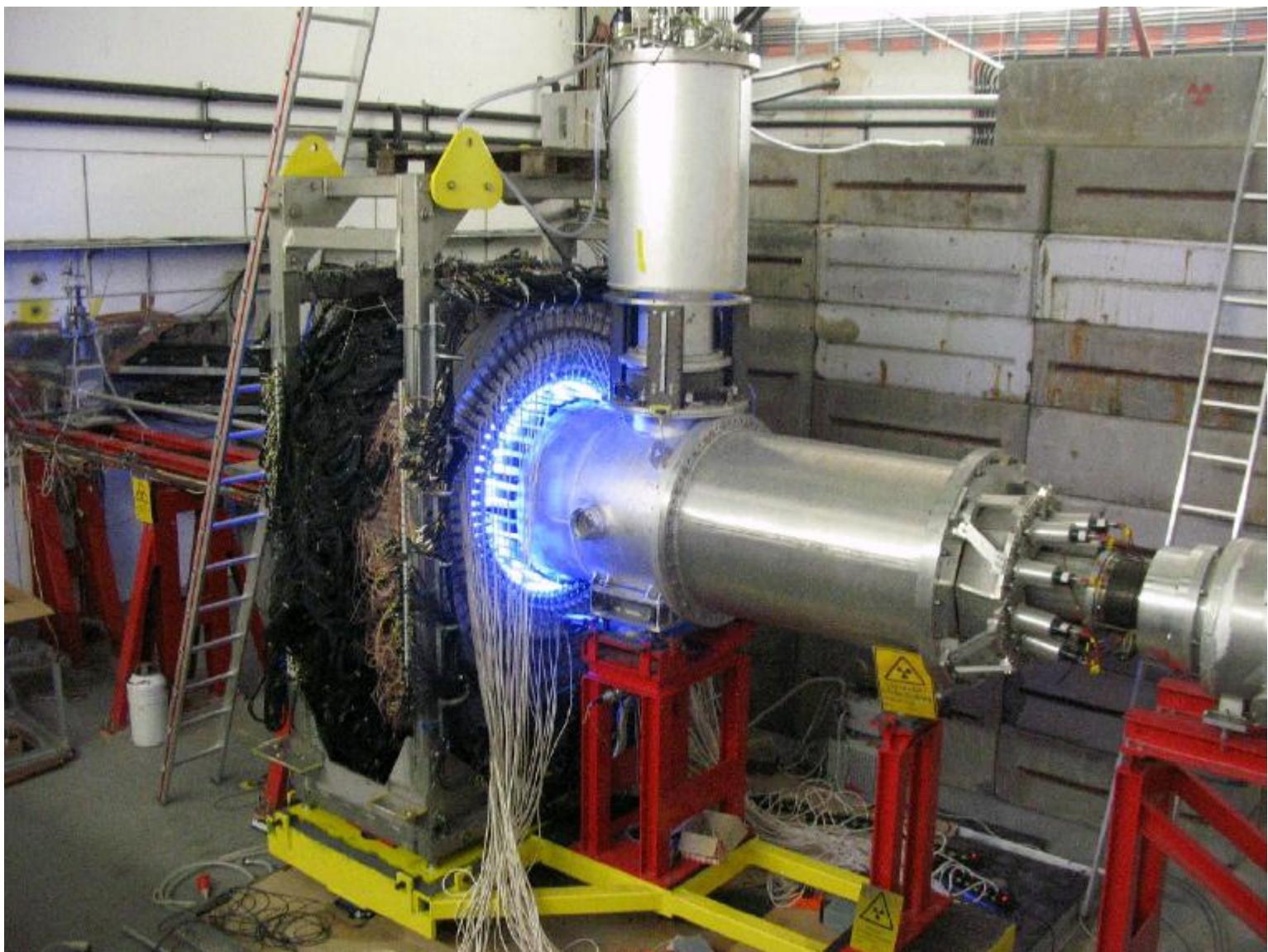
## $PbF_2$ calorimeter:

- pure Cherenkov radiator
- count rate: 100 MHz
- acceptance: 0.6 sr  
( $30^\circ$  to  $40^\circ$  or  $140^\circ$  to  $150^\circ$ )
- 1022 crystals in 7 rings
- fully absorbing

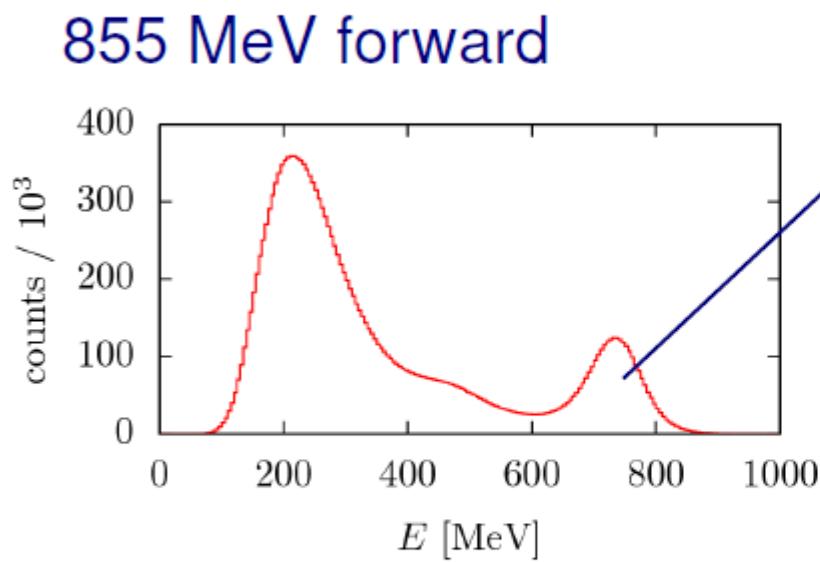
## Electron tagger (backward):

- 72 plastic scintillators

# A4 Lead fluoride calorimeter



# Data analysis



- 2044 spectra every 5 min.
- Extraction of elastic events
- $N_R, N_L$
- Target density normalisation:
$$A_{\text{meas}} = \frac{N_R/\rho_R - N_L/\rho_L}{N_R/\rho_R + N_L/\rho_L}$$
- Correction for false asymmetries and polarisation:

$$A_{\text{meas}} = P A_{\text{RL}} + \sum a_i X_i$$

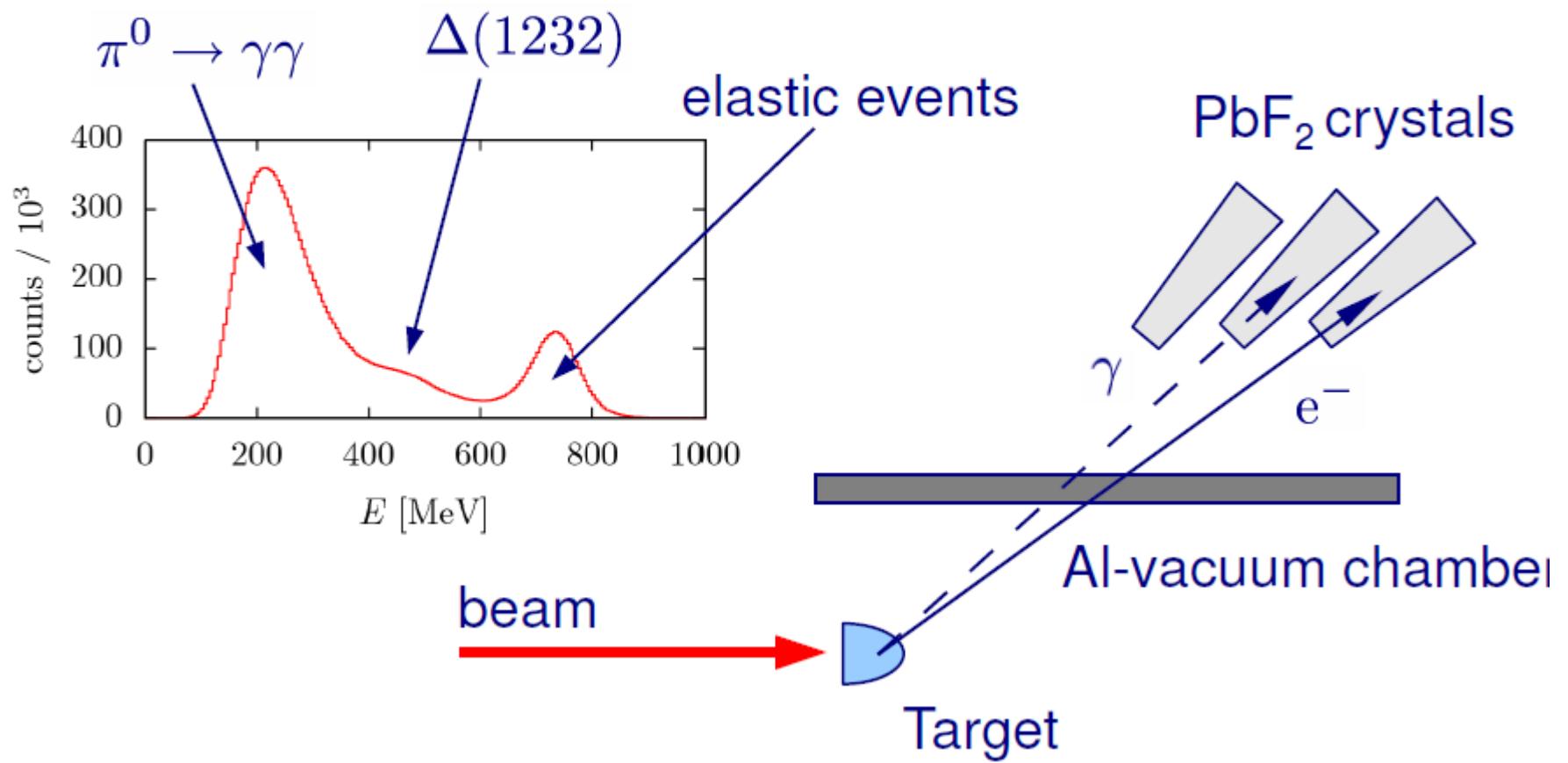
# Data analysis

**6000 hours of asymmetry data (2001 - 2010):**

Beam parameter $\bar{X}_i$ (helicity correlated)	False Asymmetry $a_i \bar{X}_i$ (Estimation)
Intensity Asymmetry $A_I$	0.05 ppm
Horizontal position diff. $\Delta X$	10.2 nm
Vertical position diff. $\Delta Y$	51.9 nm
Horizontal angle diff. $\Delta X'$	6.8 nrad
Vertical angle diff. $\Delta Y'$	4-2 nrad
Energy diff. $\Delta E$	0.05 eV

# Background

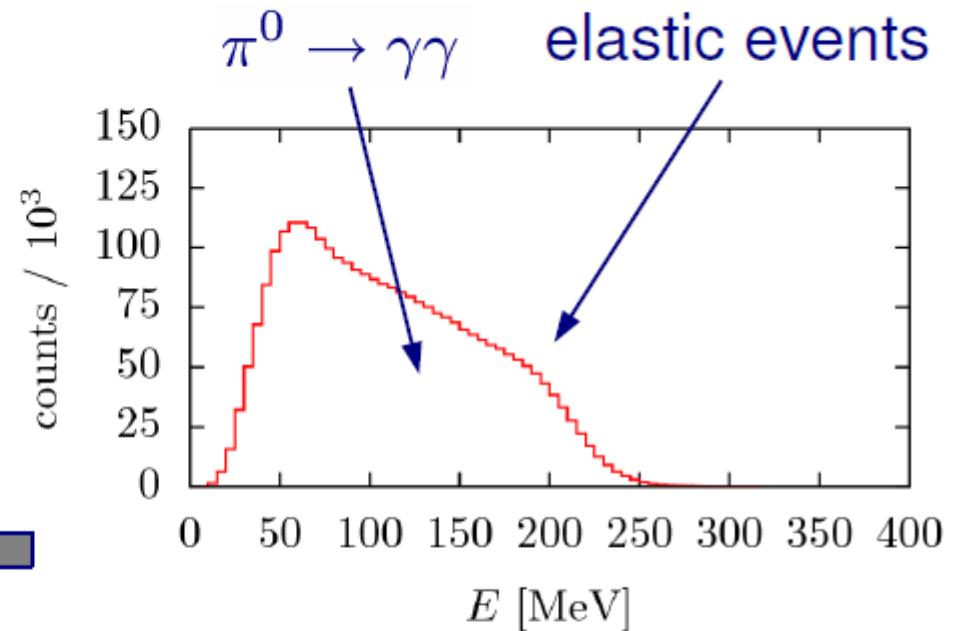
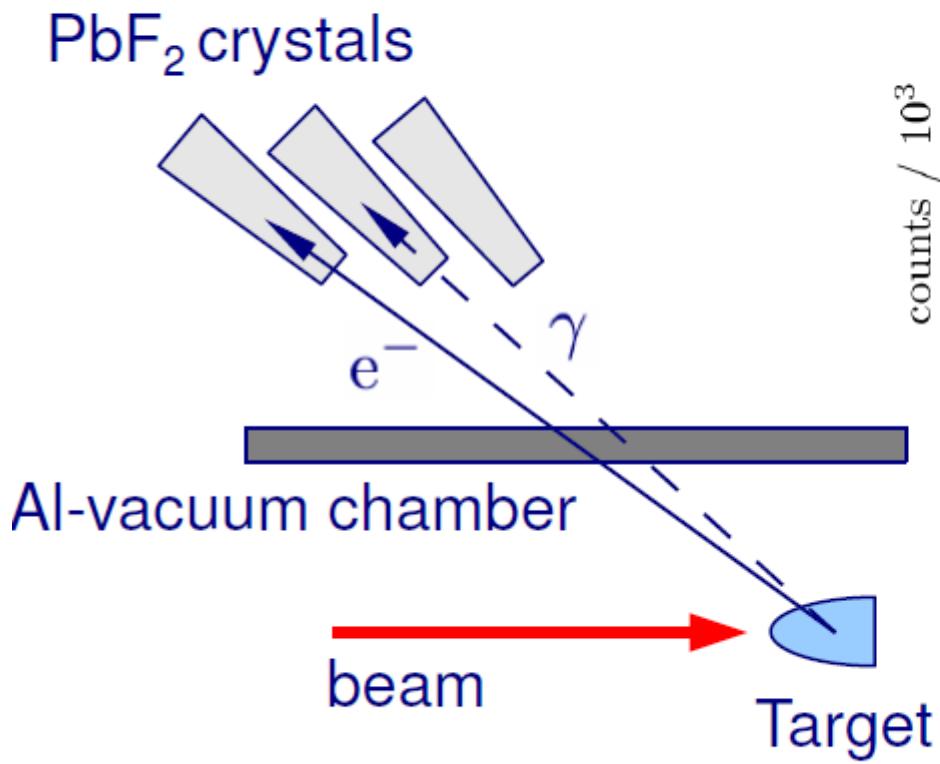
- Forward angle (855 MeV):



=> Separation by energy of elastic from inelastic events

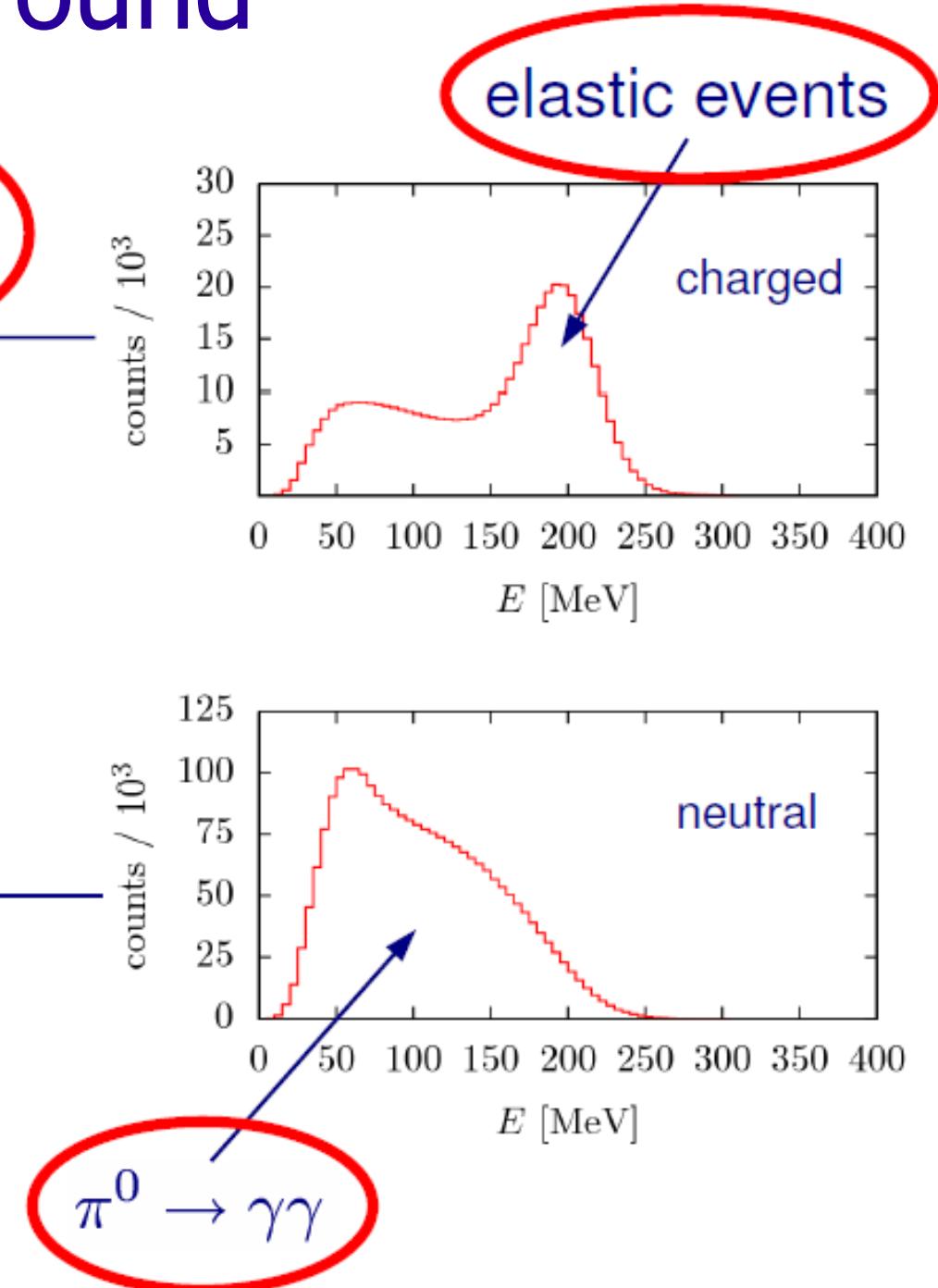
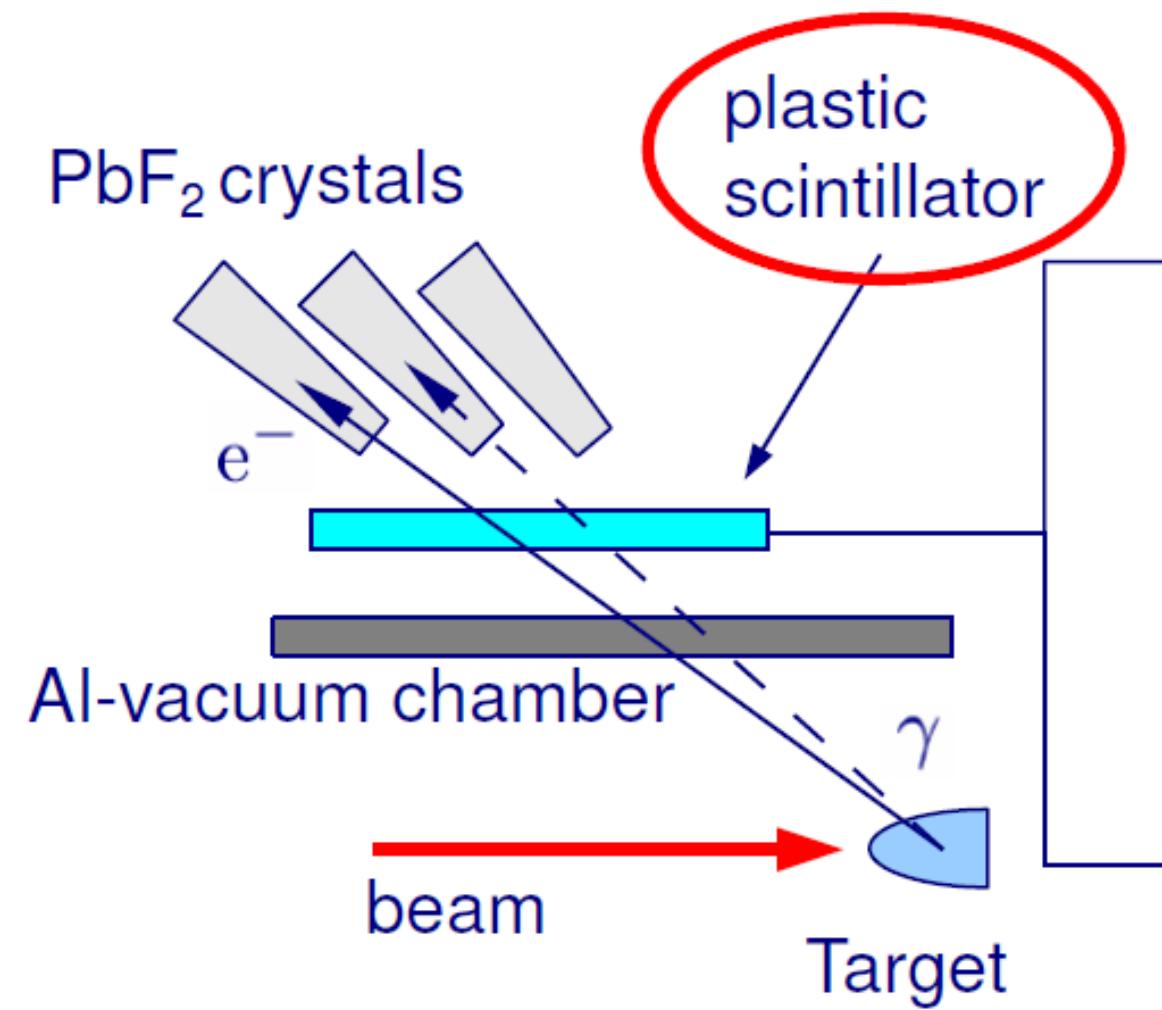
# Background

- Backward angle (315 MeV):

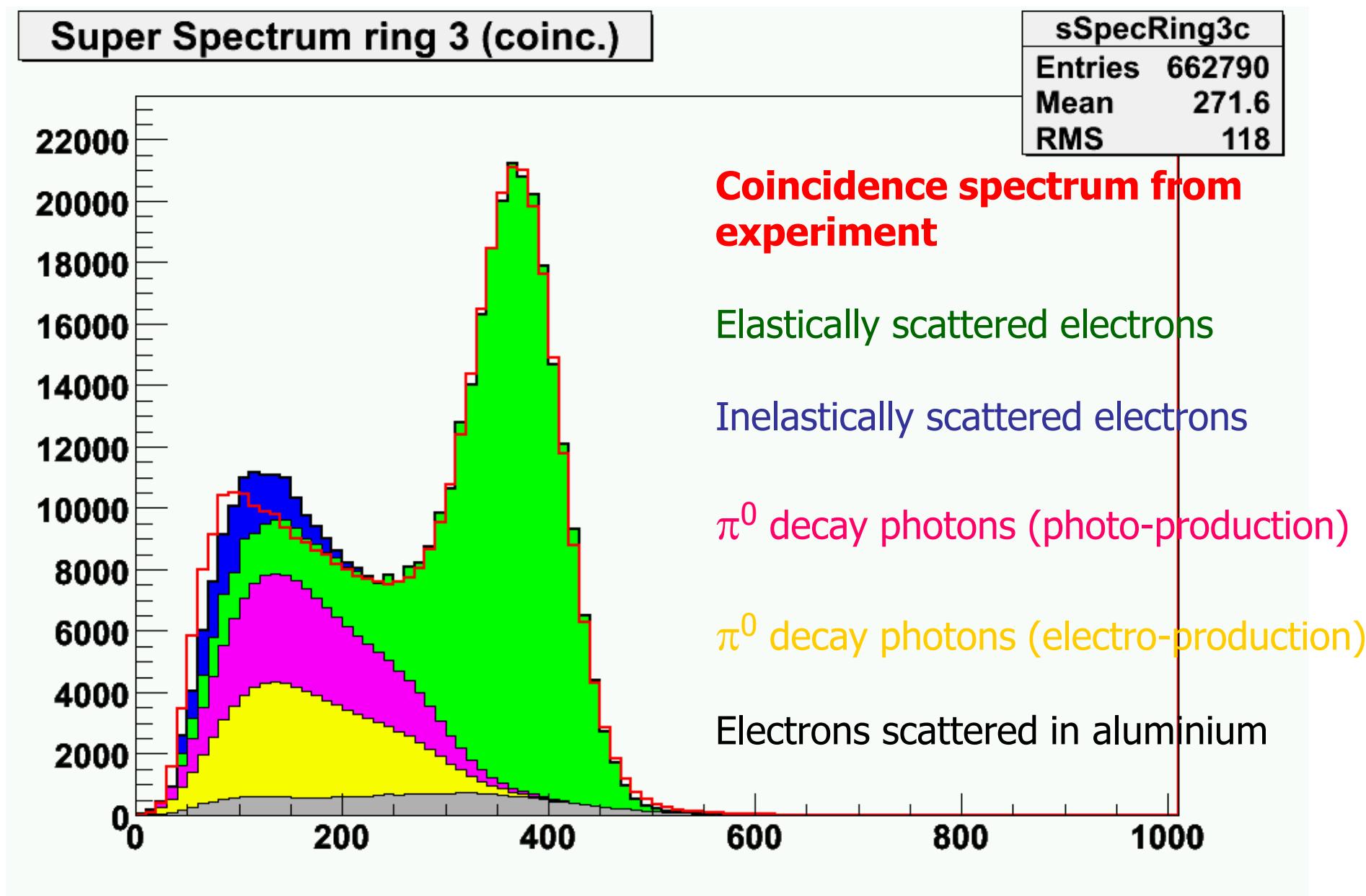


No energy separation  
at backward angle

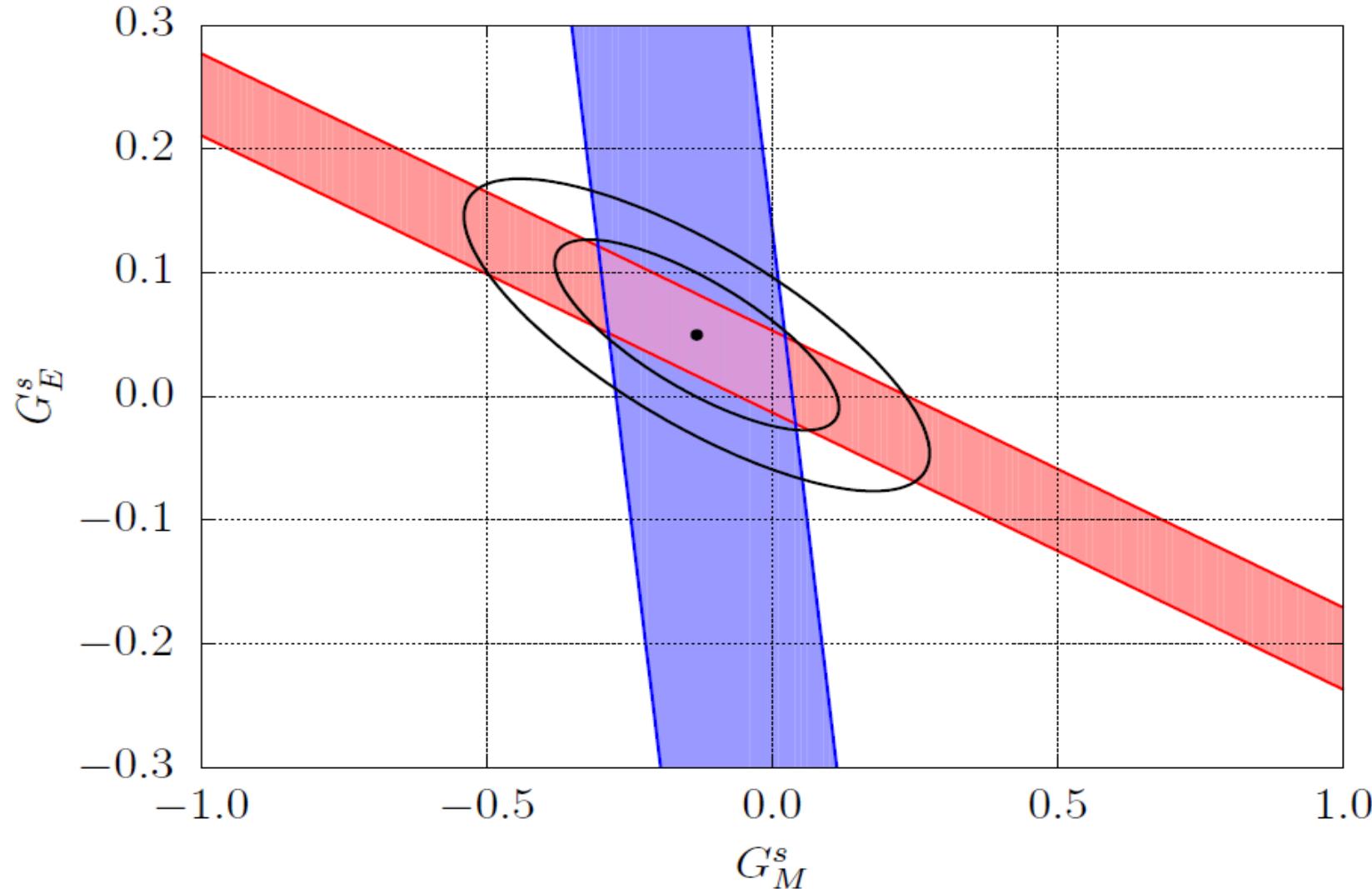
# Background



# Full MC simulation results

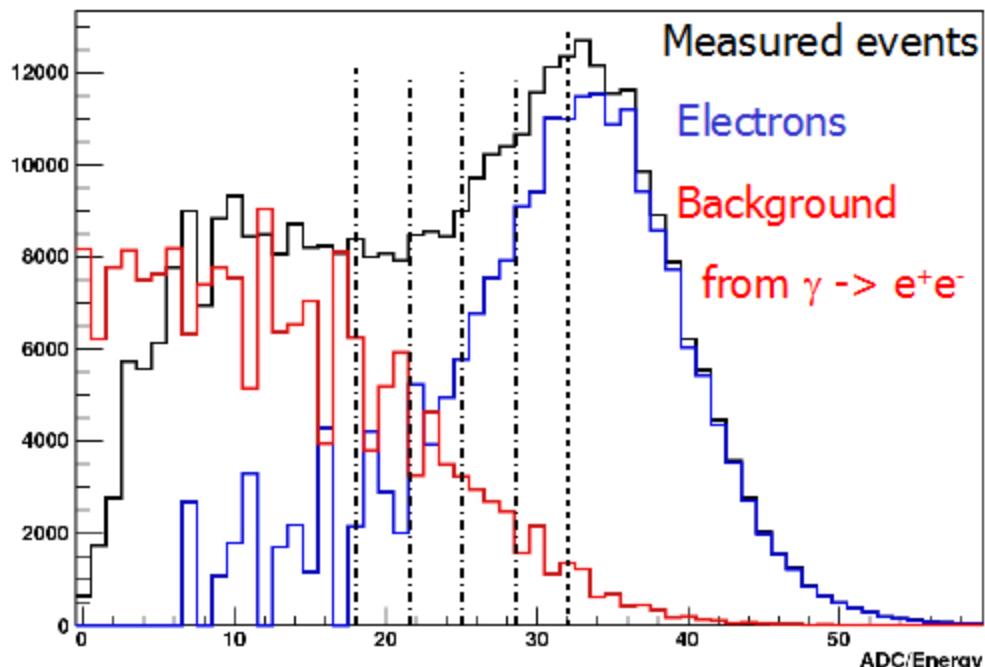


# A4: Strange FF at $Q^2=0.23 \text{ GeV}^2$



$$G_E^s = 0.050 \pm 0.042 (\pm 0.038_{\text{exp}} \pm 0.019_{\text{FF}})$$
$$G_M^s = -0.14 \pm 0.16 (\pm 0.11_{\text{exp}} \pm 0.11_{\text{FF}})$$

# A4 Deuterium measurements

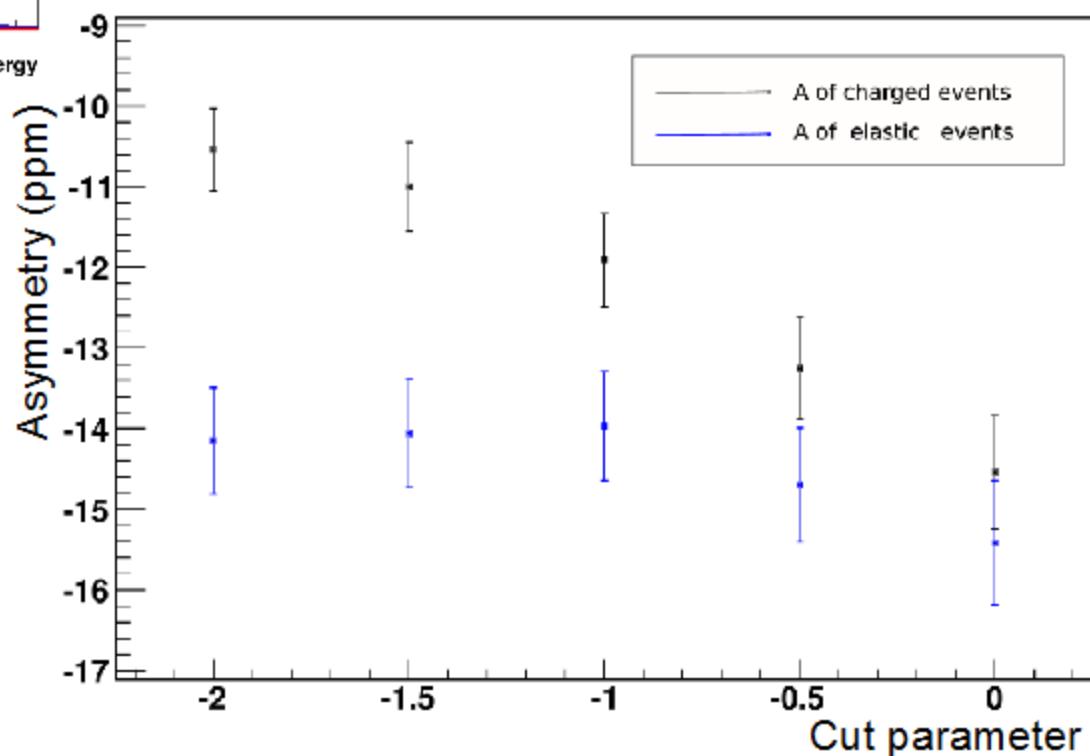


- 1100 h of asymmetry data at  $Q^2=0.23 \text{ GeV}^2$
- Different linear combination of  $G_M^s$  and  $G_A$
- So far:  $G_A$  as input from Zhu *et al.*
- Aim: Determination of  $G_A$  from the measurement

Analysis compared to  $\text{H}_2$ :

- Peak broader due to Fermi motion
- Rate of charged particles increases by a factor of  $\sim 1.5$ , rate of neutral particles increases by factor  $\sim 2$

=> Careful study of background subtraction data necessary!

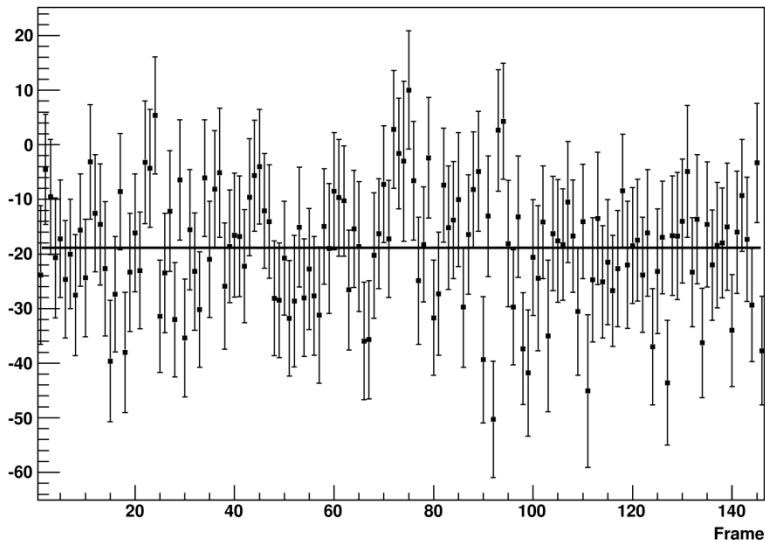


# A4 Backward angle: $D_2$ , $Q^2=0.23 \text{ GeV}^2$

	Scaling factor	Error(ppm)
Polarization	0.74	0.89
	Correction(ppm)	Error(ppm)
Dilution of $\gamma$ backgr.	-4.02	0.44
$\epsilon, \delta$ parameters	—	0.43
Helicity corr. beam diff.	-0.33	0.10
Non-helicity corr. beam fluc.	—	0.42
Al windows	0.50	0.05
Random coinc. events	-1.55	0.10
Luminosity	-0.87	0.26
Nonlinearity of L	—	—
spin angle deviation	1.73	0.35
Sum syst. errors		1.25

$$A_{\perp} = (-20.02 \pm 0.84 \pm 1.25) \text{ ppm}$$

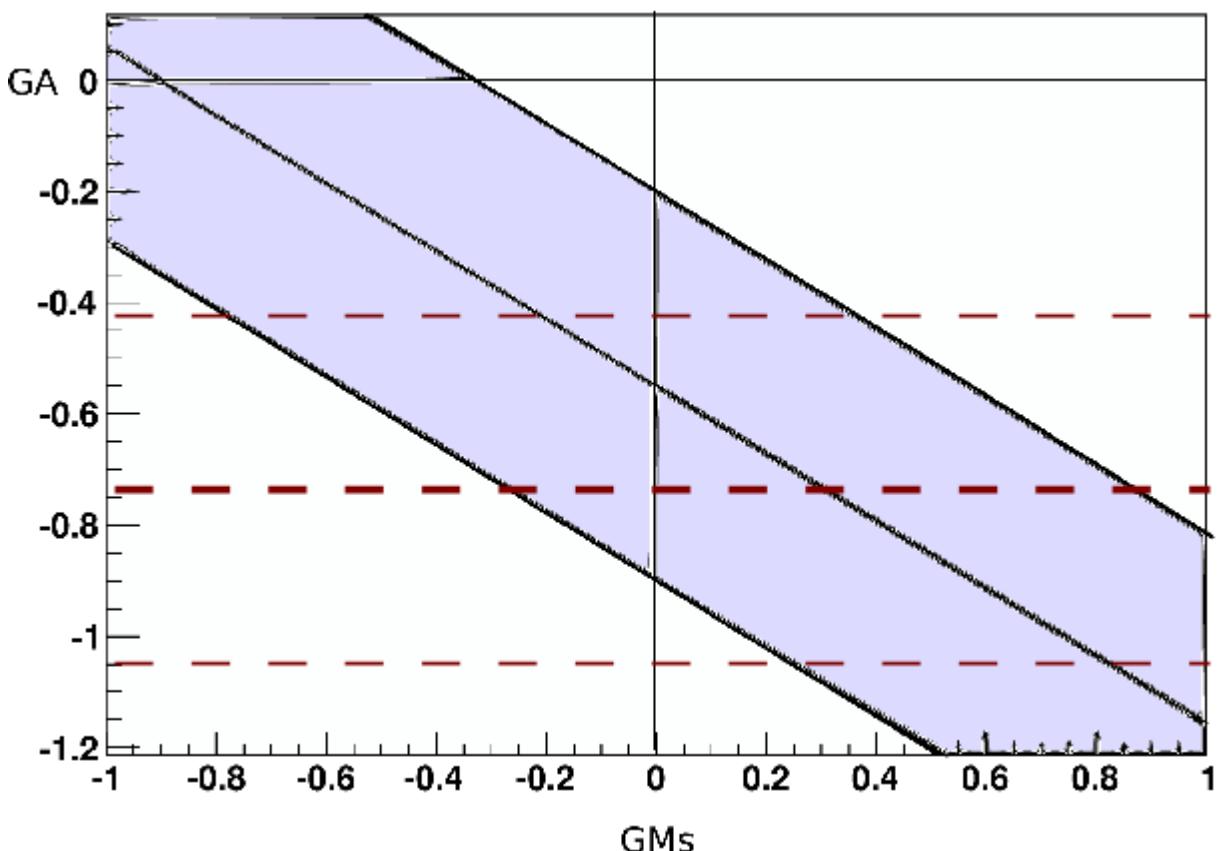
# A4 Backward angle: Deuterium



Asymmetry in quasielastic ed scattering:

$$A = (-20.02 + 0.84_{\text{stat}} + 1.25_{\text{syst}}) \text{ ppm}$$

(all corrections included)



Preliminary result:

$$G_A + 0.61 * G_M^S = -0.55 \pm 0.35$$

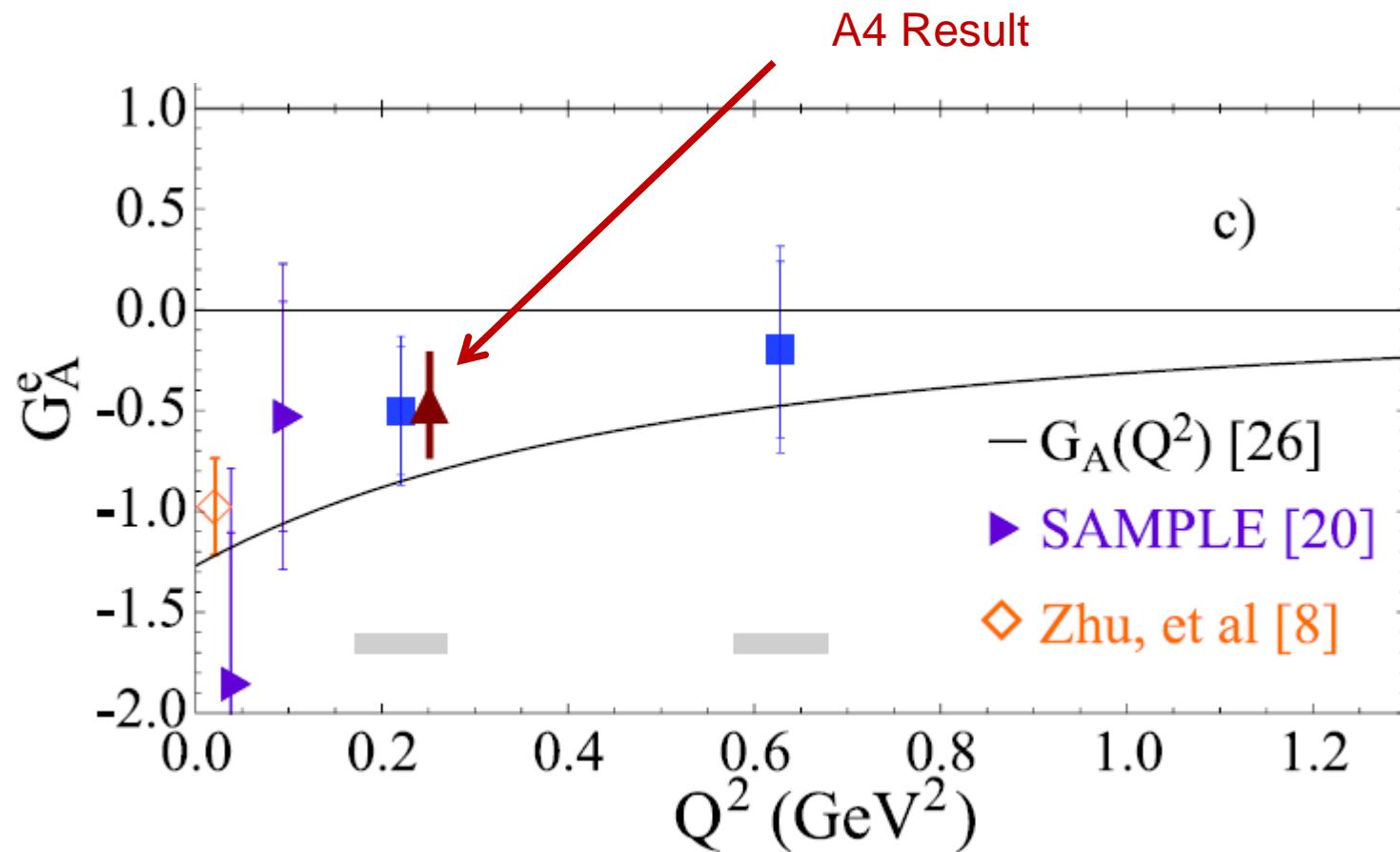
(all errors added in quadrature)

Experiment:  $G_A = -0.47 \pm 0.31$

Zhu et al.:  $G_A = -0.77 \pm 0.35$

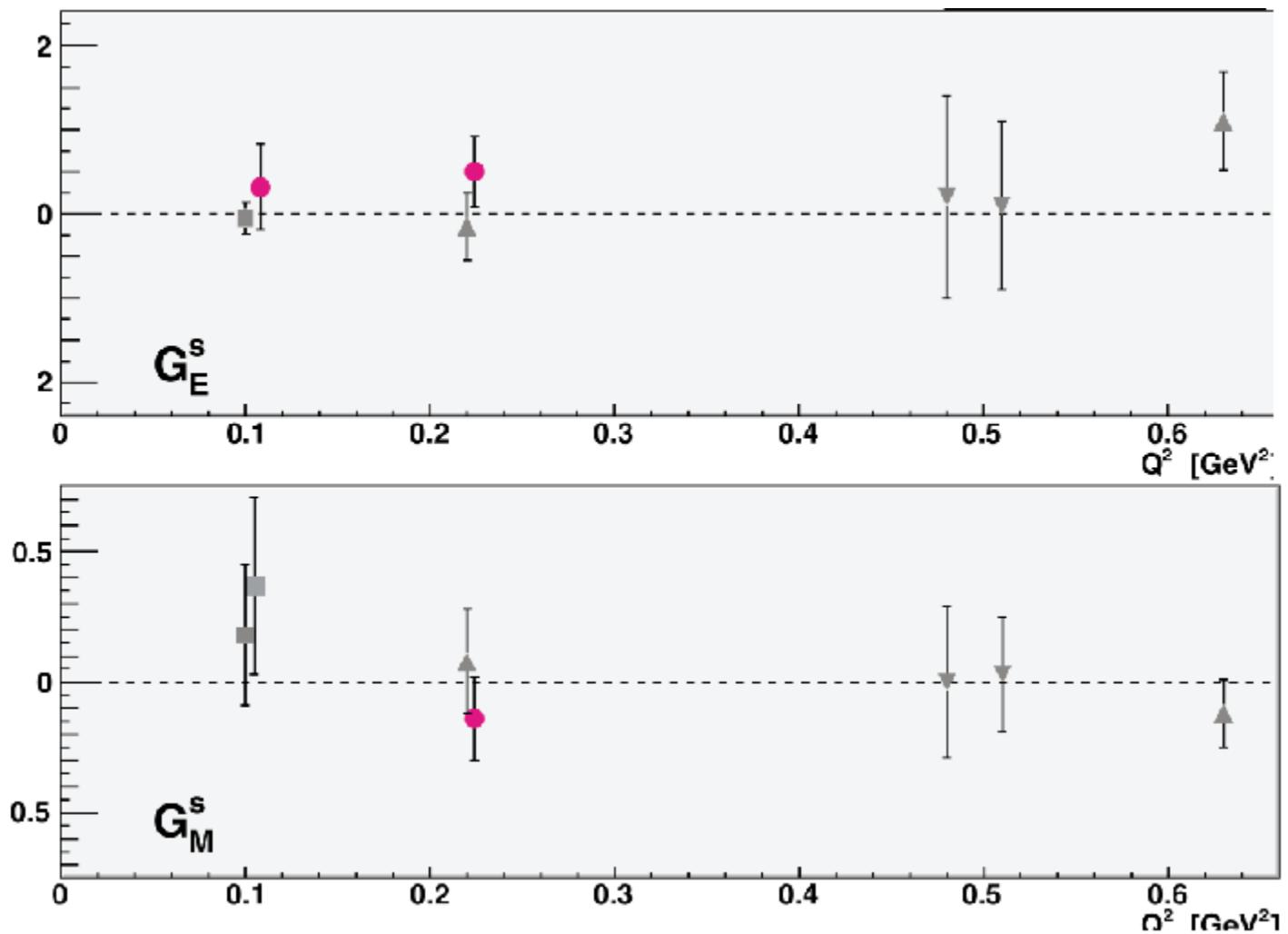
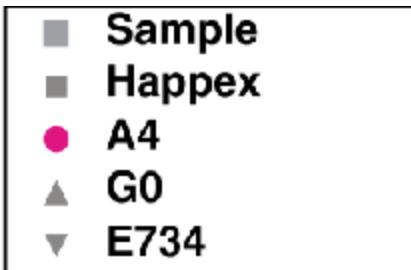
# A4 Backward angle: Deuterium

Comparison with G0 backward angle measurement (*same momentum transfer*):



# “A4-III”

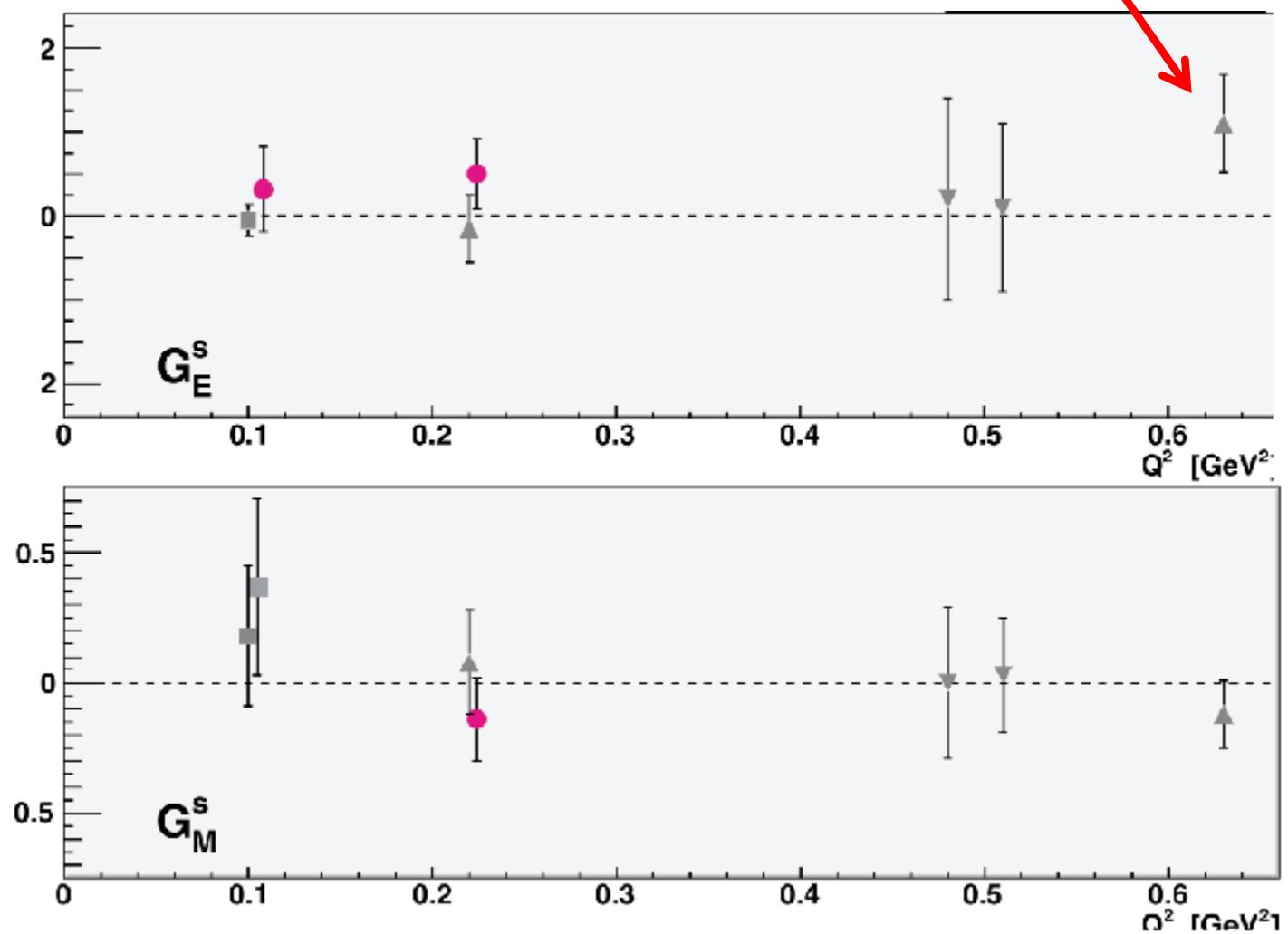
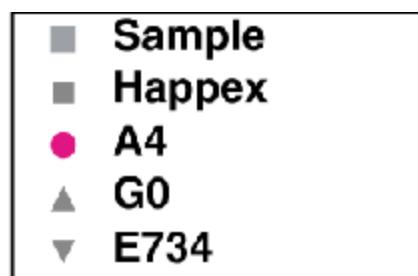
Disentangling of strange electric and magnetic form factors with data from different experiments:



# “A4-III”

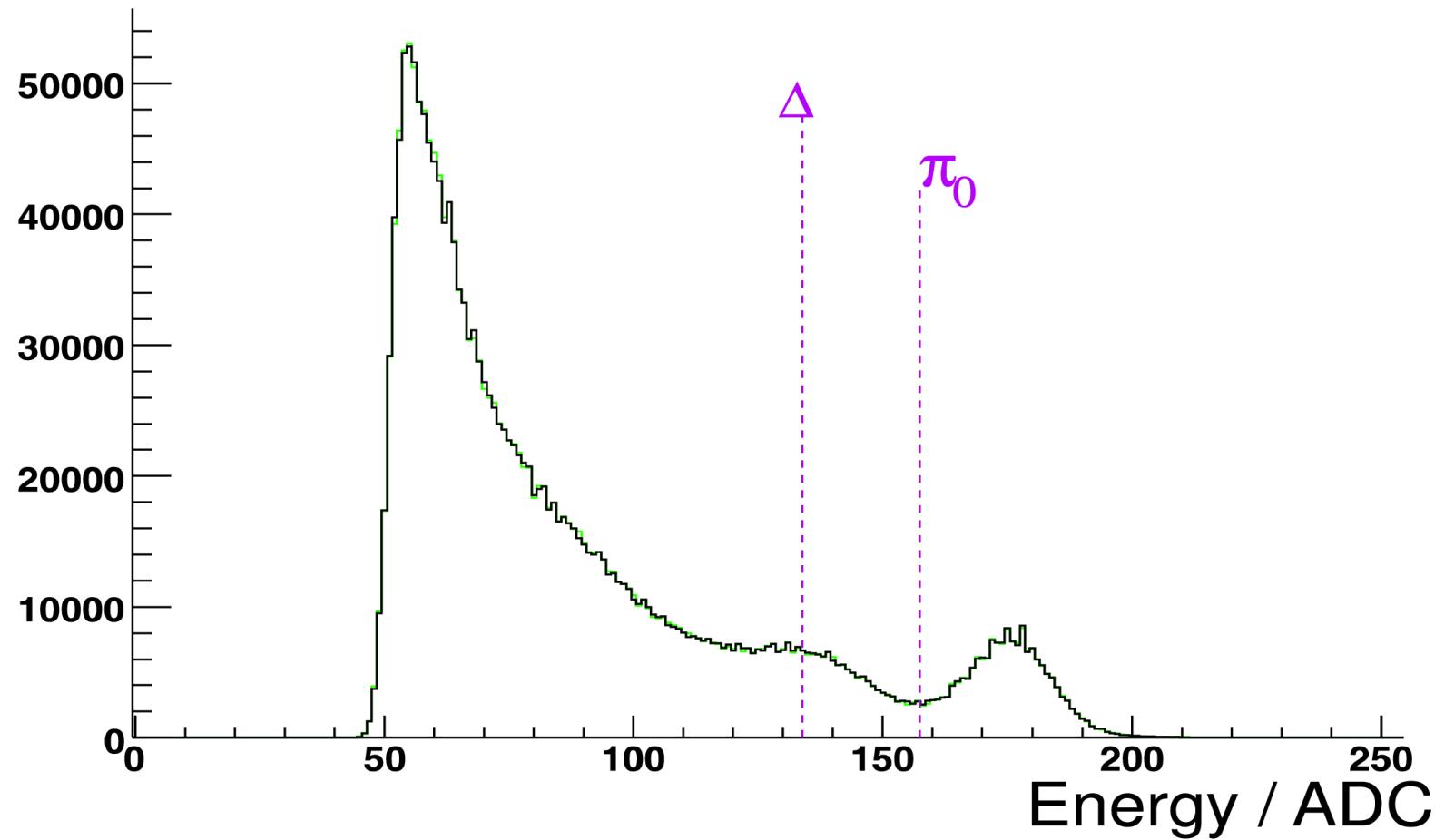
Looks interesting...

MAMI C energy:  
1508 MeV  
A4 scat. angle:  
35°  
=>  
 **$Q^2=0.62 \text{ GeV}^2$**



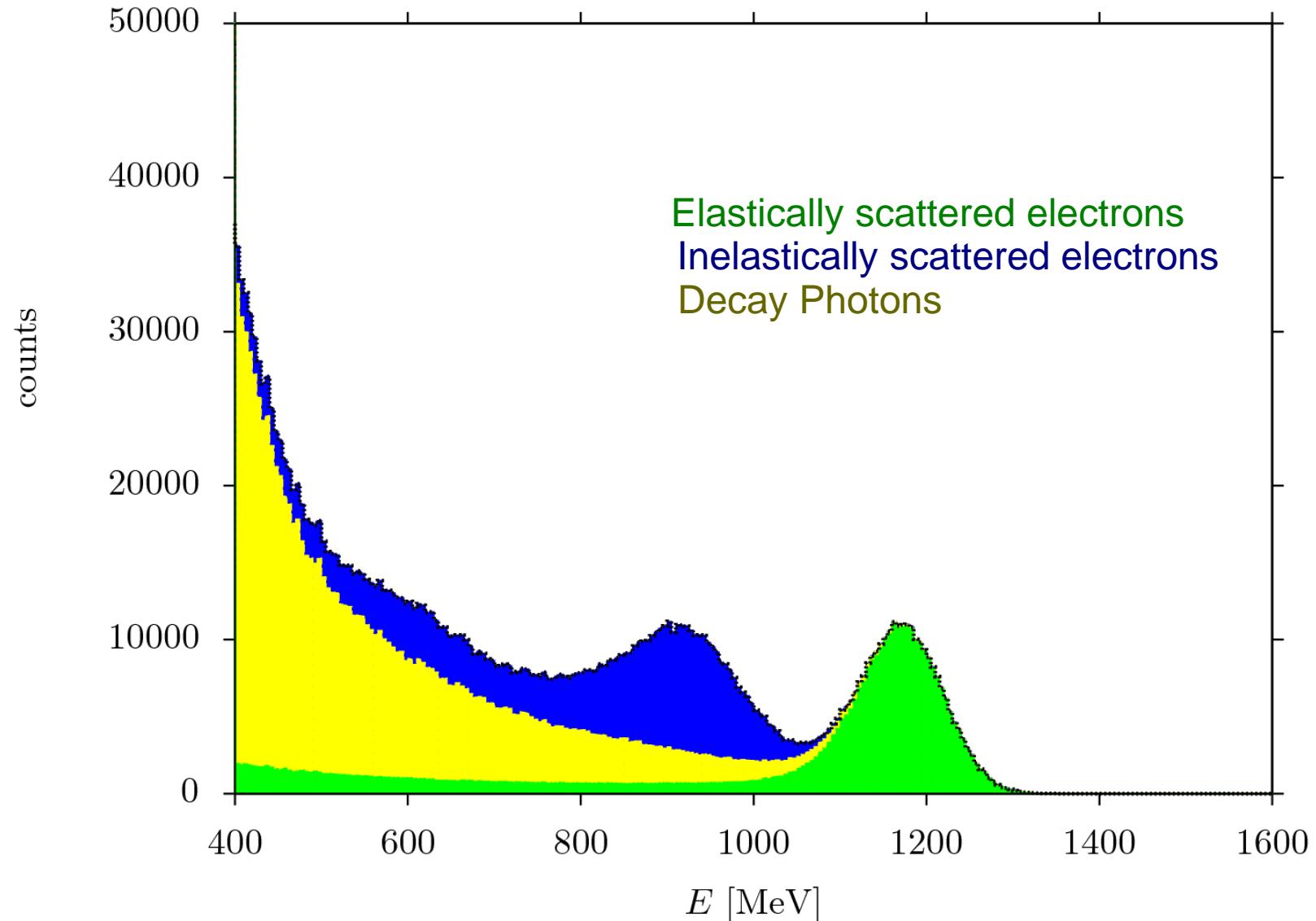
# “A4-III”

## PbF<sub>2</sub> energy spectrum



# “A4-III”

## Energy spectra: MC Study



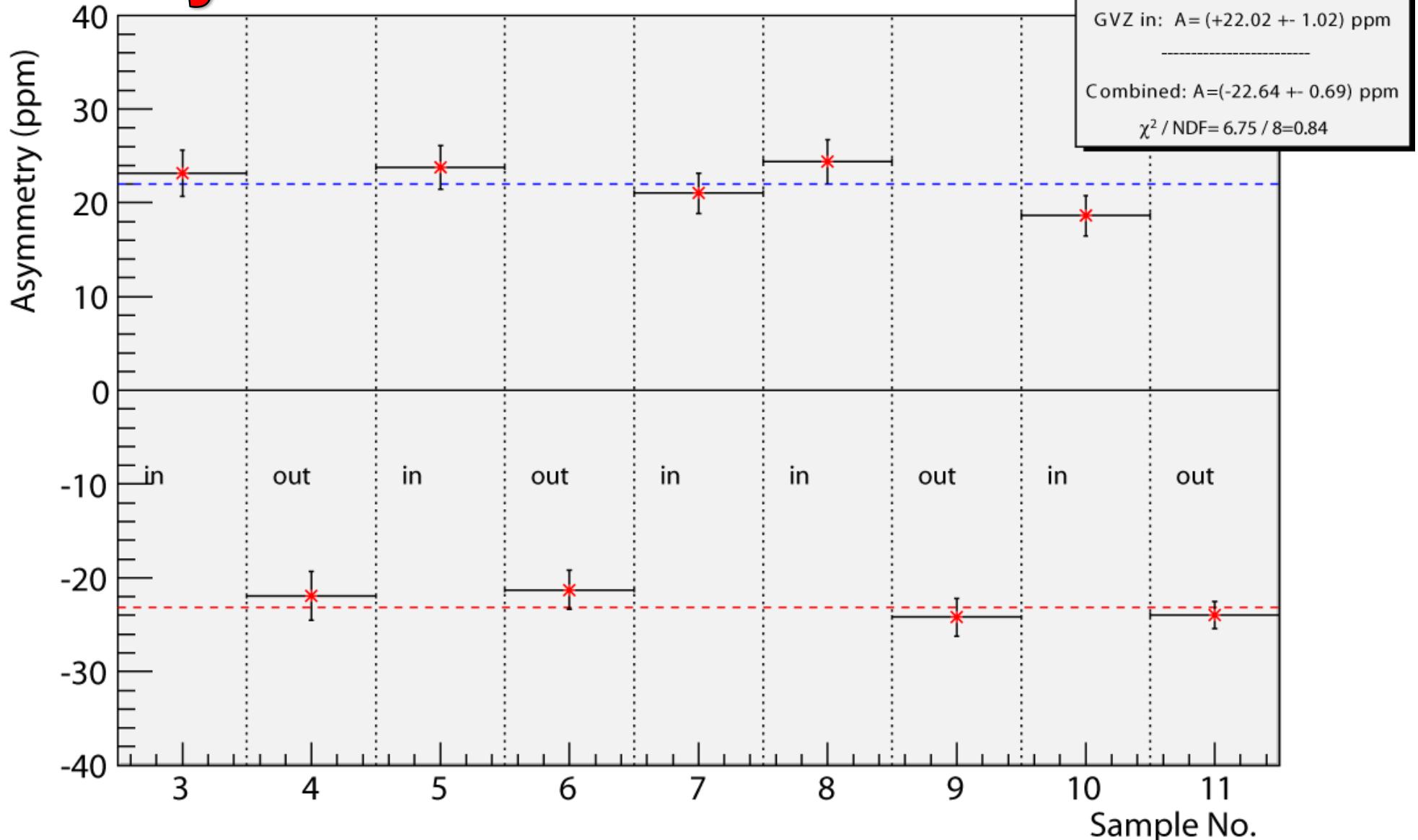
# “A4-III”

## Data taking:

- 600 hours of asymmetry data on disk
- Average beam polarization of 85%
- $N=12.8 \times 10^{12}$  elastically scattered electrons
- $\Delta A/A \sim 0.05$
- Asymmetry analysis nearly finished

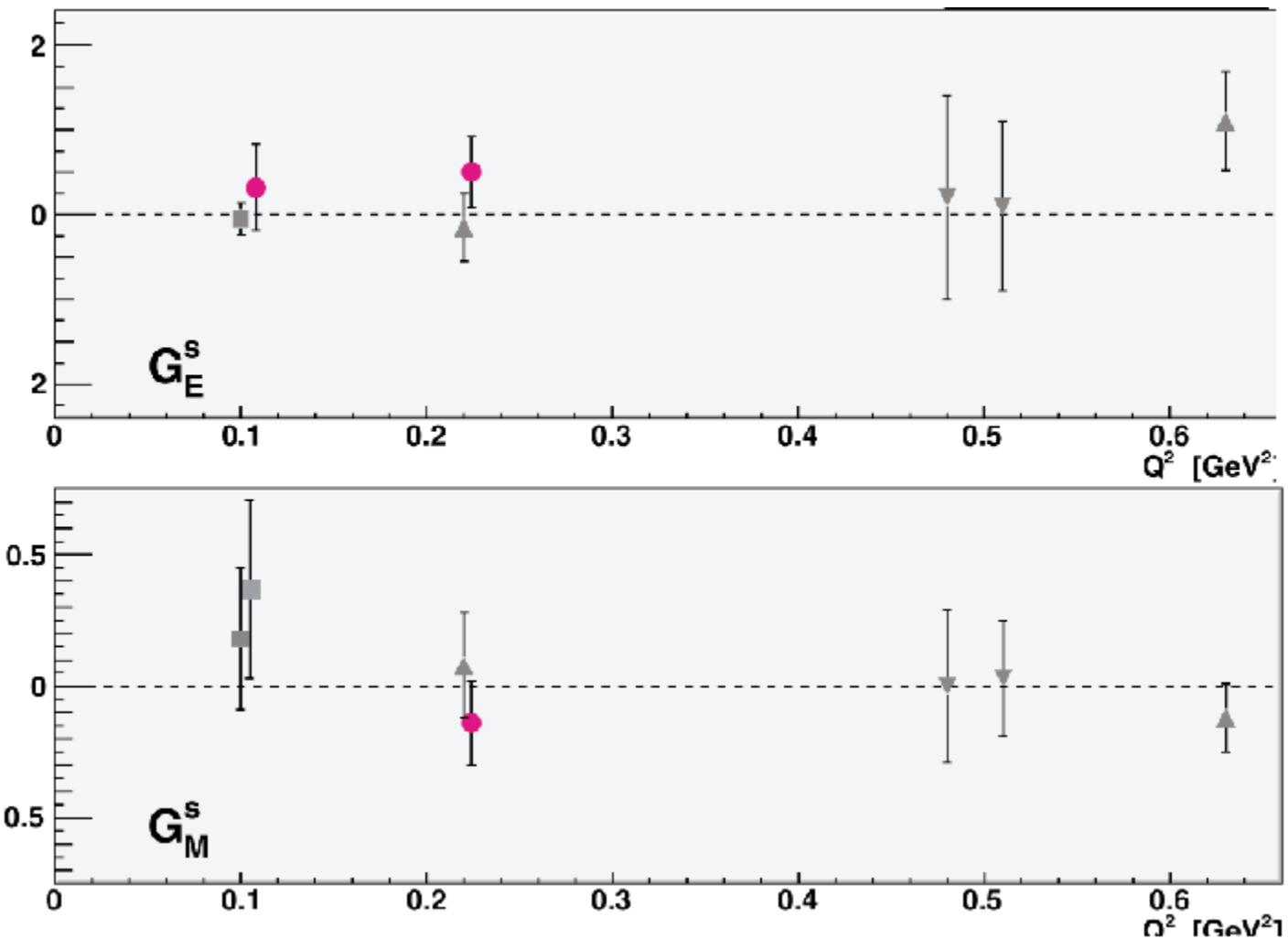
# "A4-III"

## Asymmetries GVZ IN/OUT



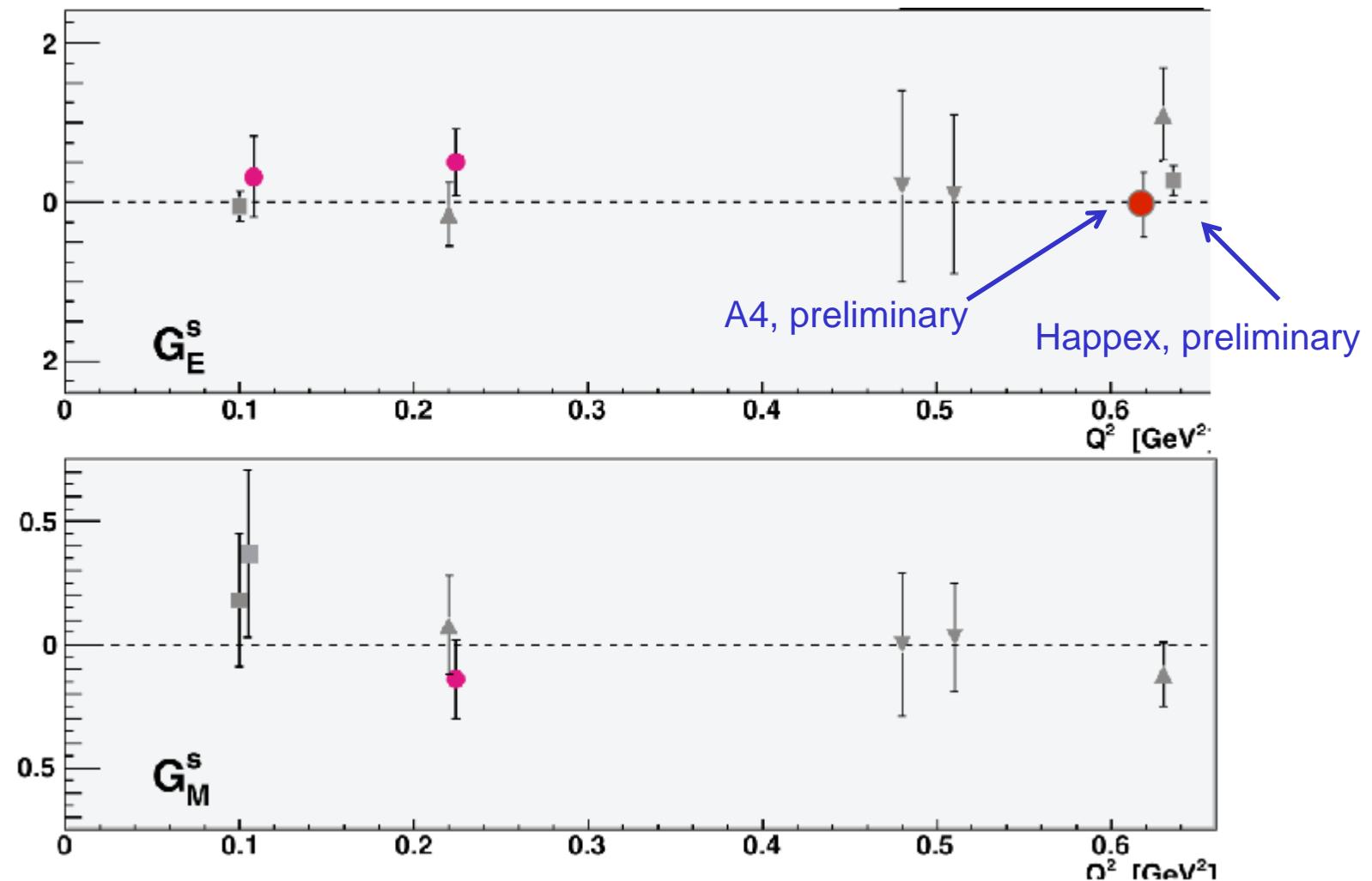
# “A4-III”

Preliminary result:  $G_E^s + 0.628 \cdot G_M^s = 0.067 \pm 0.030$  (all errors added in quadrature)



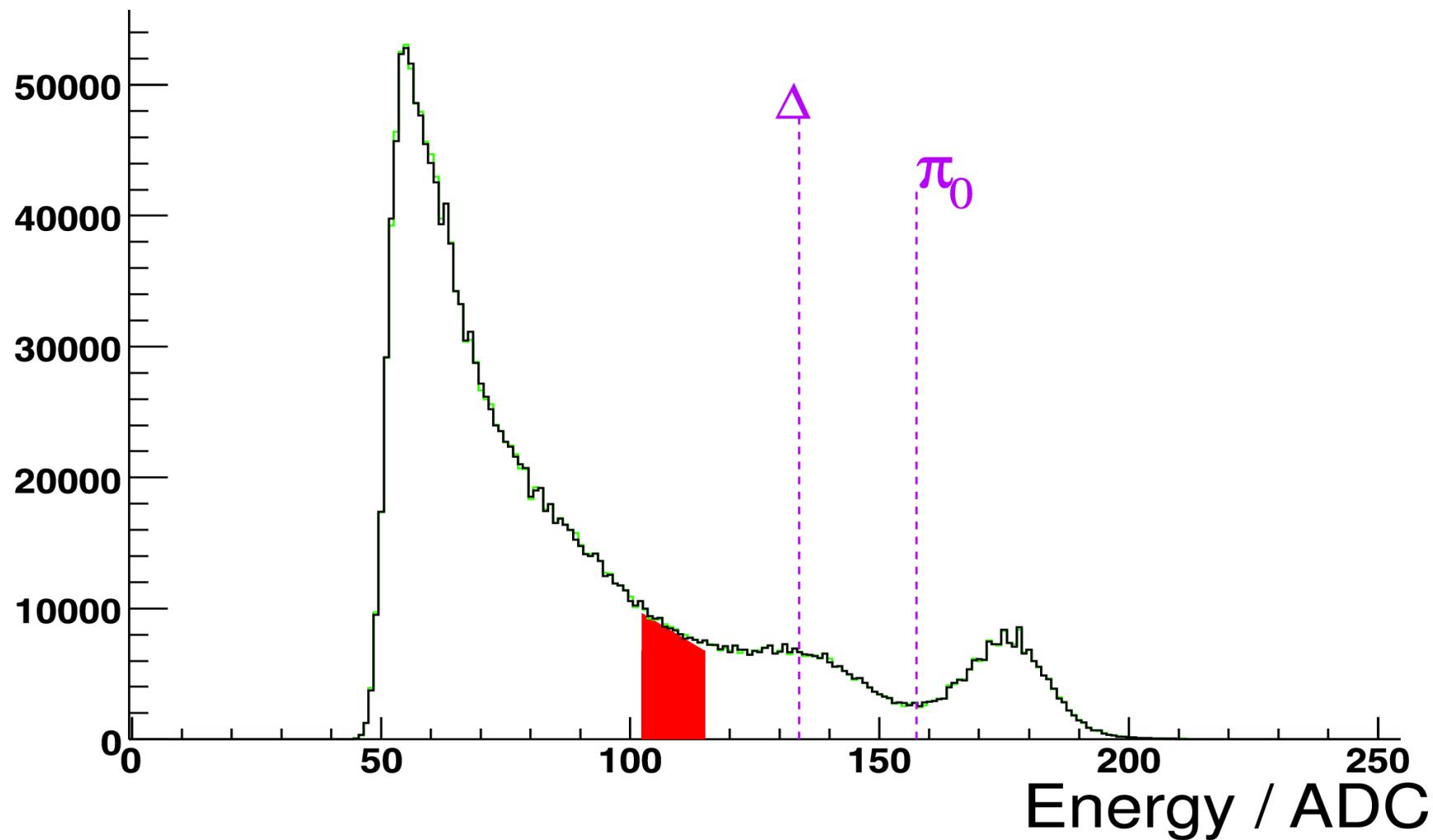
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# “A4-III”

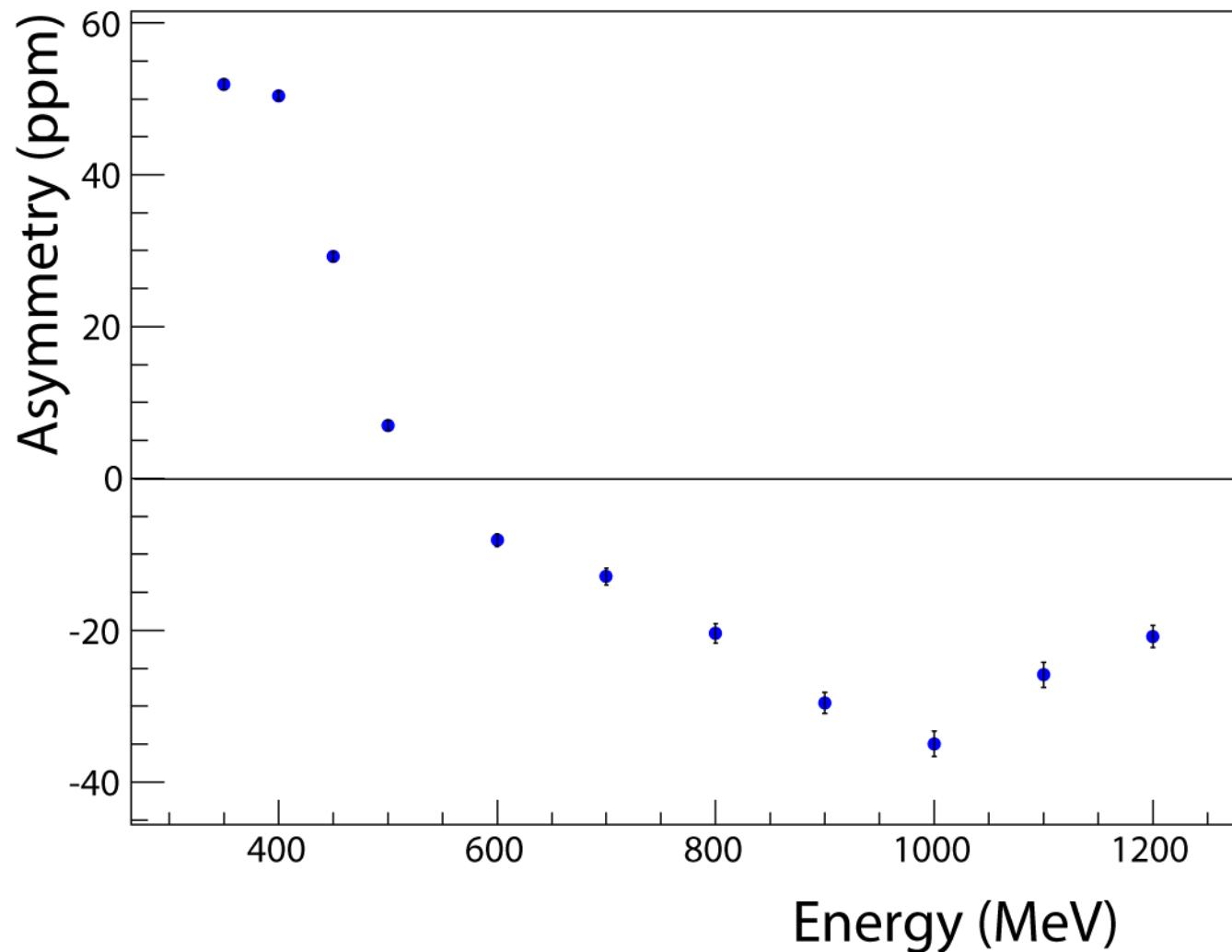
Asymmetry as a function of the energy of the scattered particles:



# “A4-III”

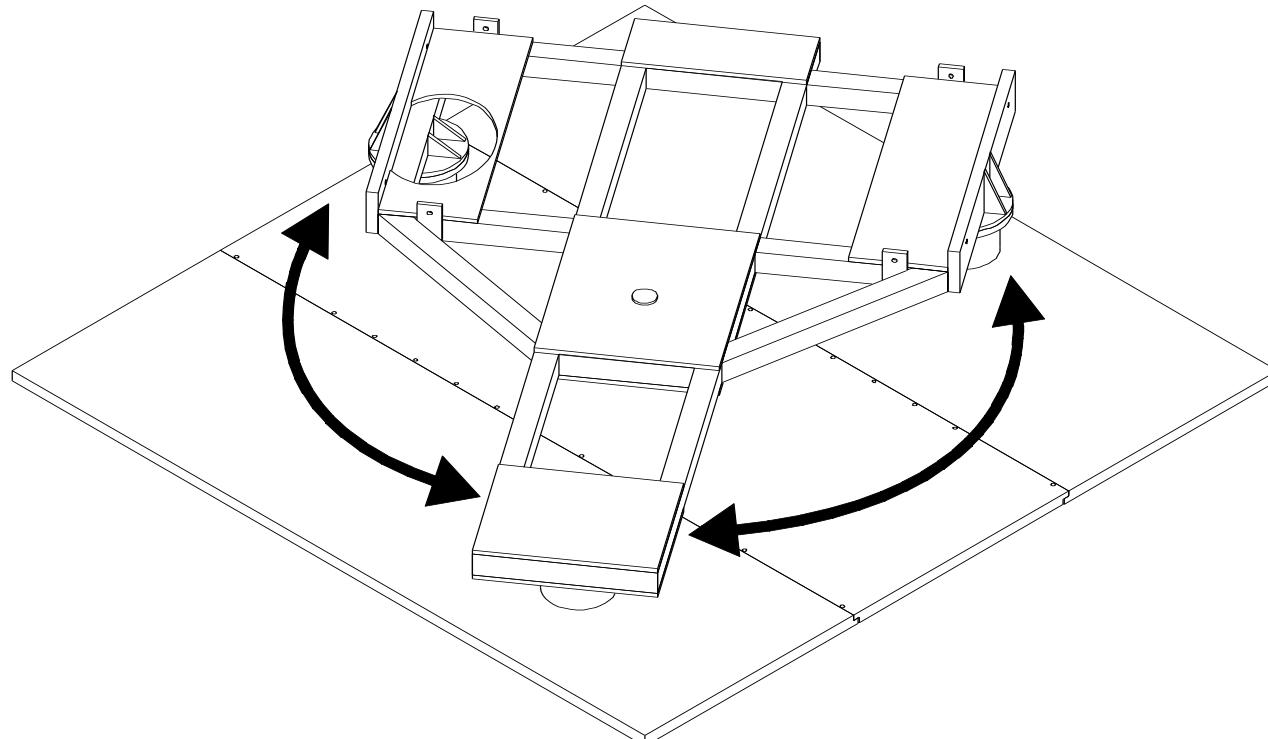
## Asymmetry as a function of the energy of the scattered particles:

- Apply cuts with  $\pm 50$  MeV



# “A4-IV”

- Turn calorimeter to backward angles
- Beam energy of 210 MeV ( $Q^2=0.11 \text{ GeV}^2$ )
- Targets:  $\text{H}_2$ ,  $\text{D}_2$  ( $\sim 1000$  hours each)
- Aim: Reduce existing error by factor of 2
- Time scale: 2011 - 2012

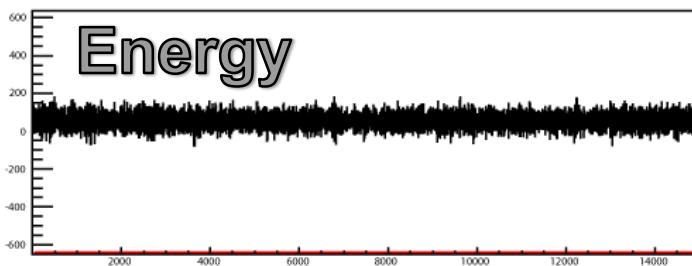
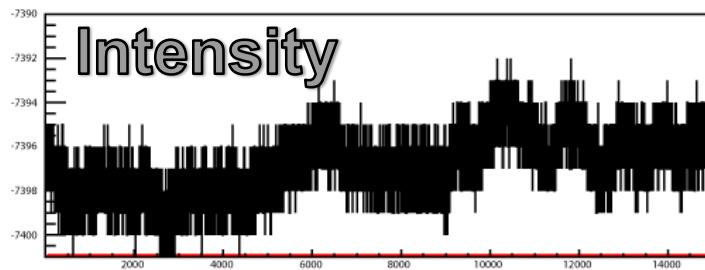
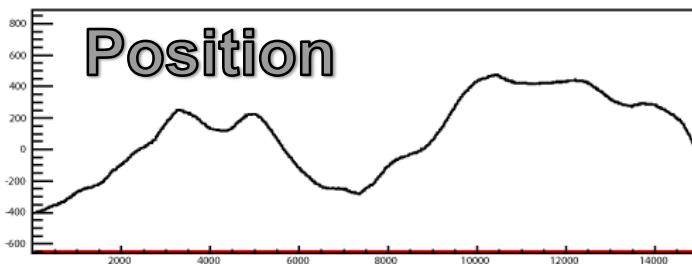
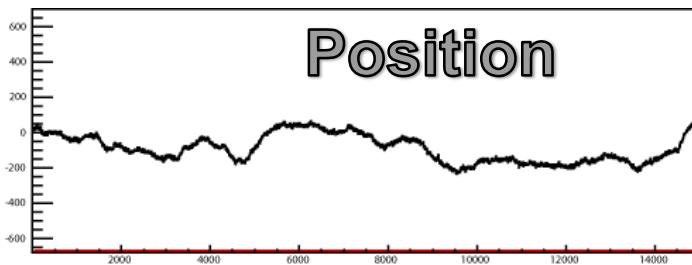


# “A4-IV”

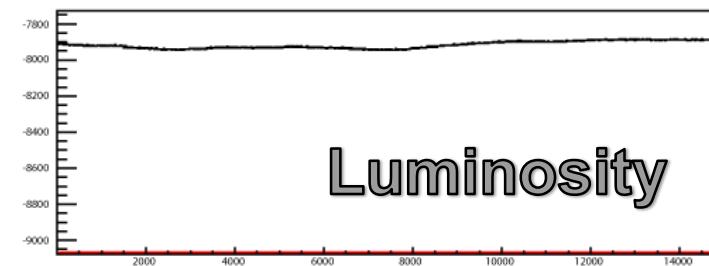
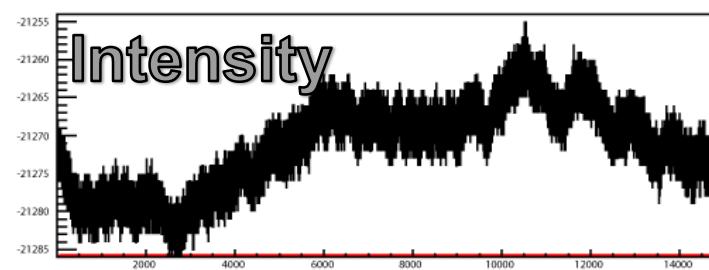
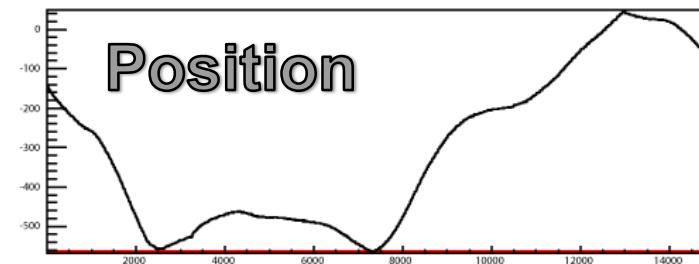
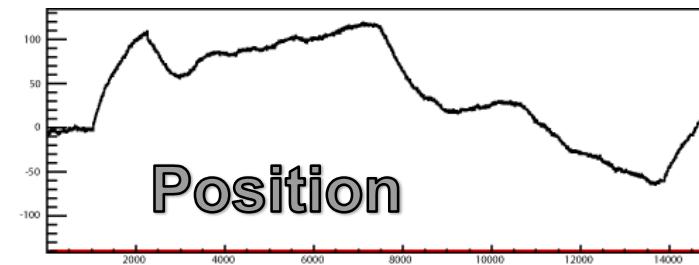
- Calorimeter rearrangement: **May-July 2011**
- Cavity installation at MAMI-B for energy measurement and stabilization: **July 2011**
- First 210 MeV beam with H<sub>2</sub>: **August 2 – August 22, 2011**
- First check / analysis of data: **August 24 – September 3, 2011**

# “A4-IV”

- Good beam



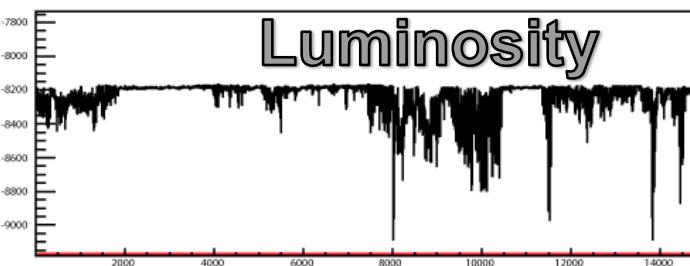
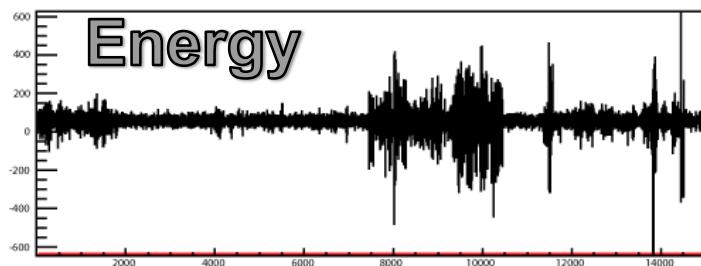
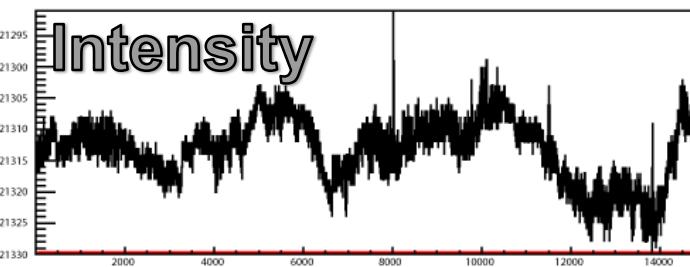
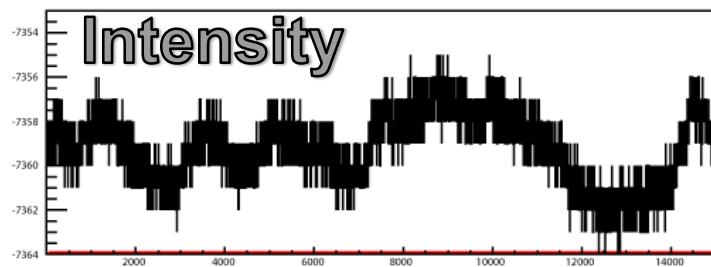
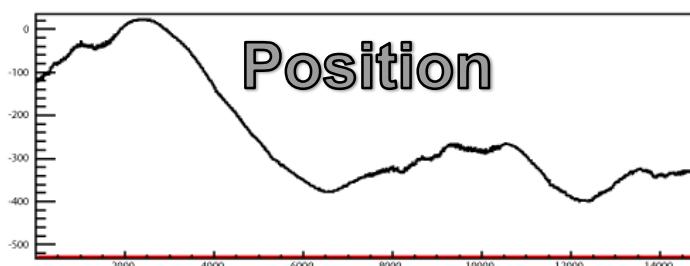
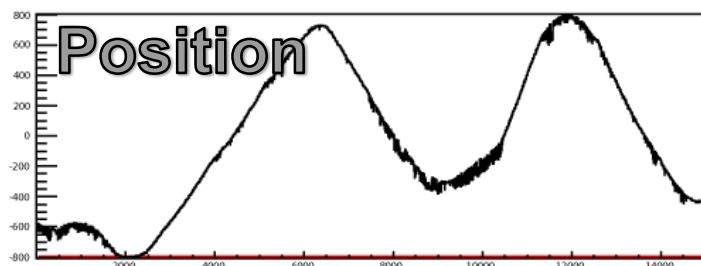
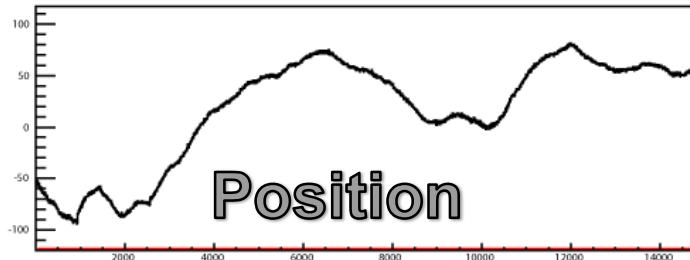
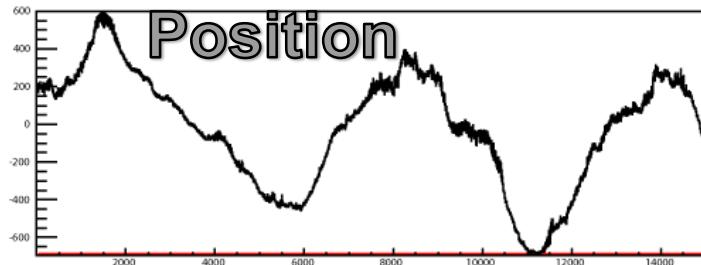
Time (5 min.)



# “A4-IV”

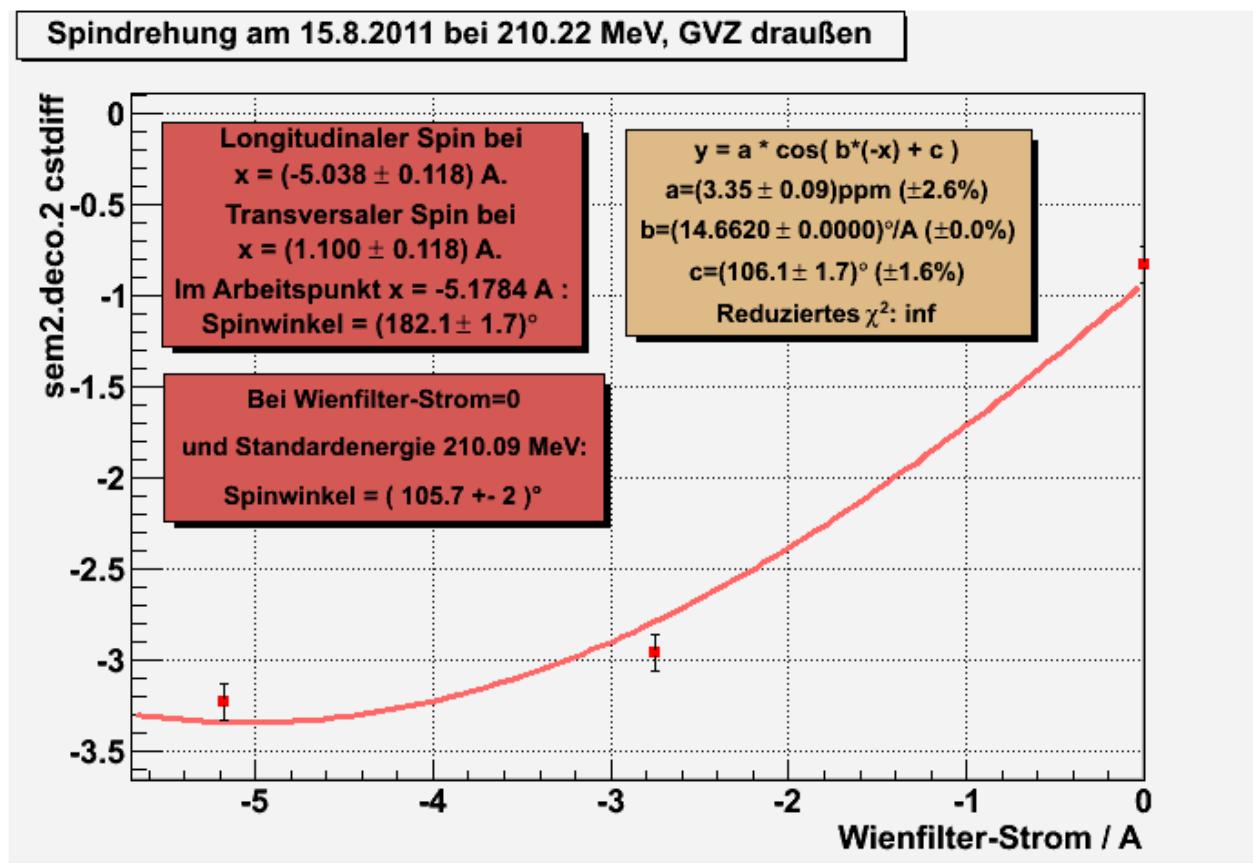
- Bad beam

Time (5 min.)



# “A4-IV”

- Determination of spin angle: **Spin rotation**

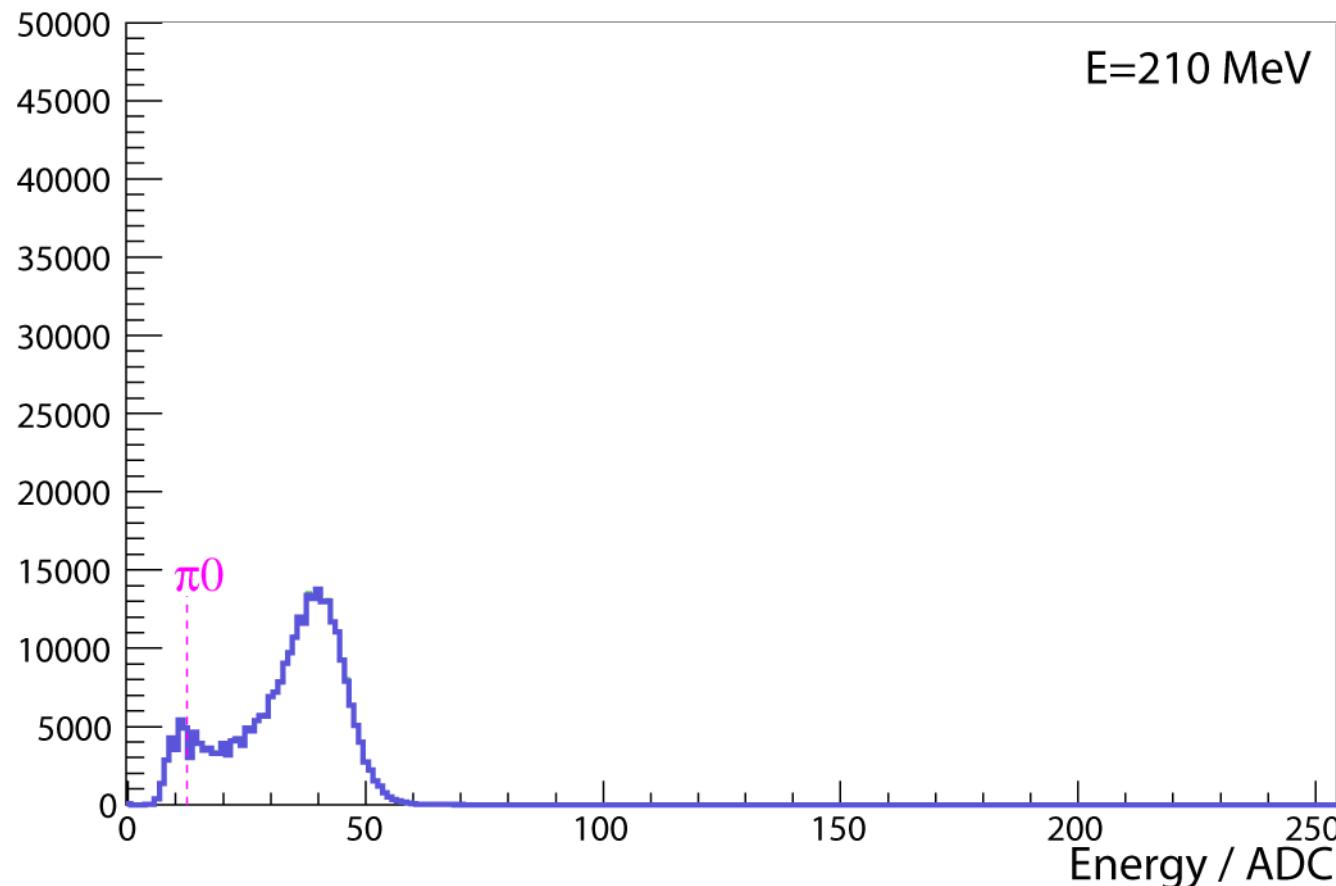


- Spin longitudinal within uncertainty of  $\pm 2^\circ$

# “A4-IV”

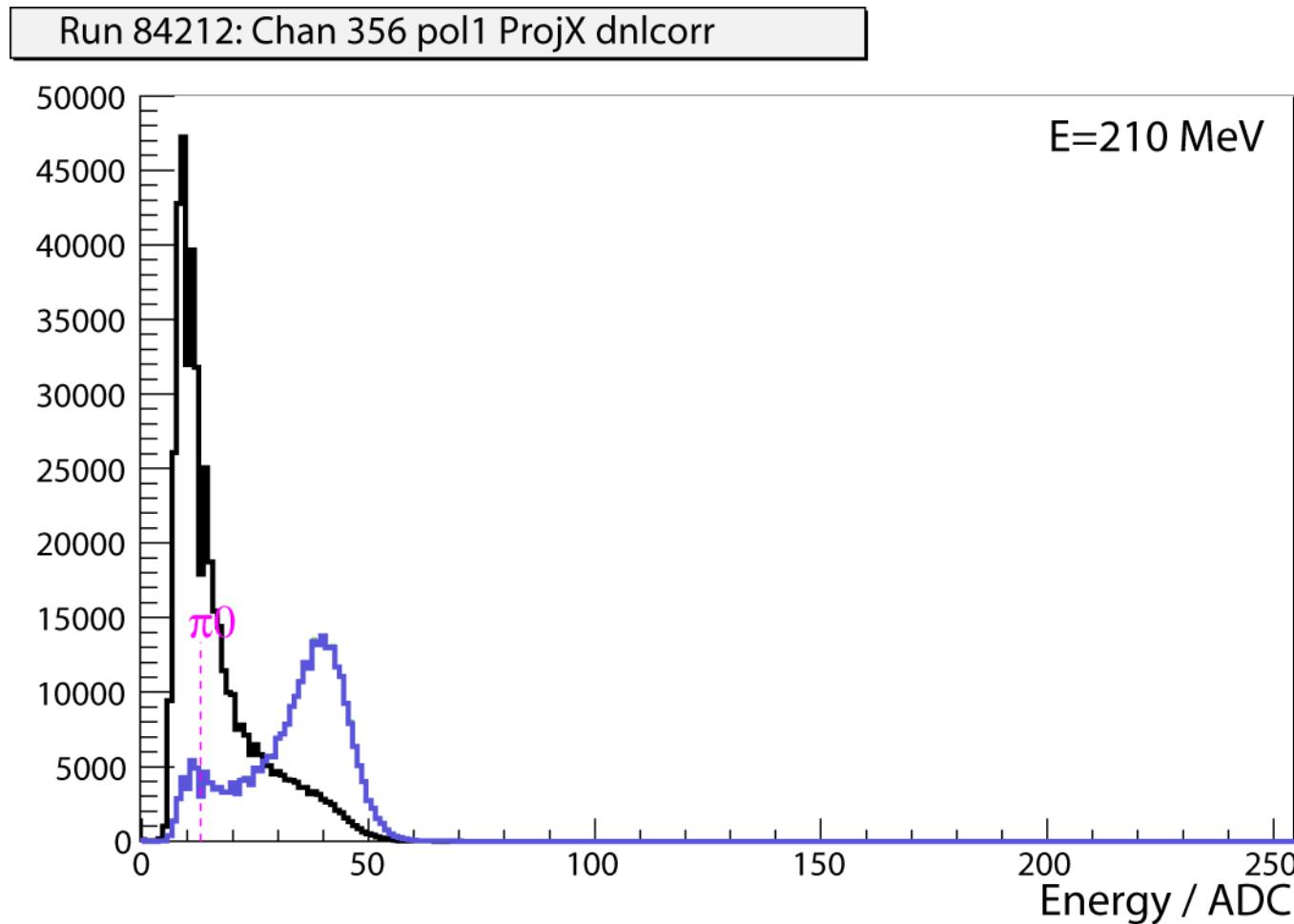
- **PbF<sub>2</sub> energy spectrum** for E=210 MeV
- Elastic peak and pion threshold visible

Run 84212: Chan 356 pol1 ProjX dnlcorr



# “A4-IV”

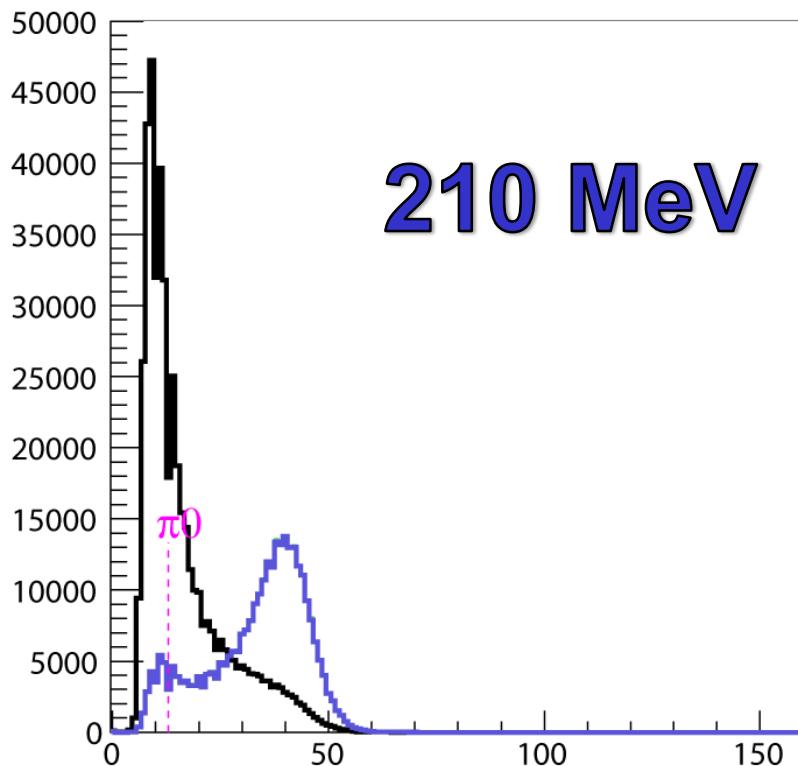
- Measurement with scintillators:
- **Coincidence (*charged particles*)**
- **Non-coincidence (*neutral particles*)**



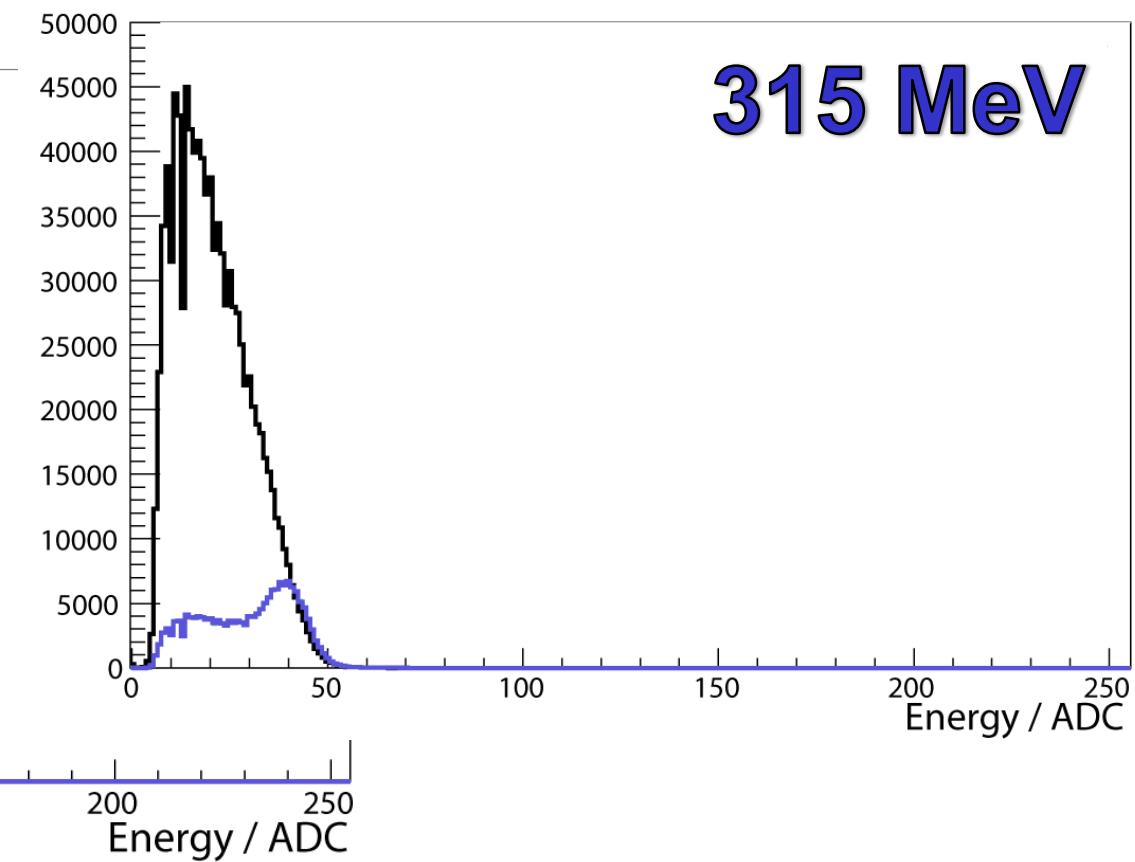
# “A4-IV”

- Less background contamination than in 315 MeV measurement!

Run 84212: Chan 356 pol1 ProjX dnllcorr

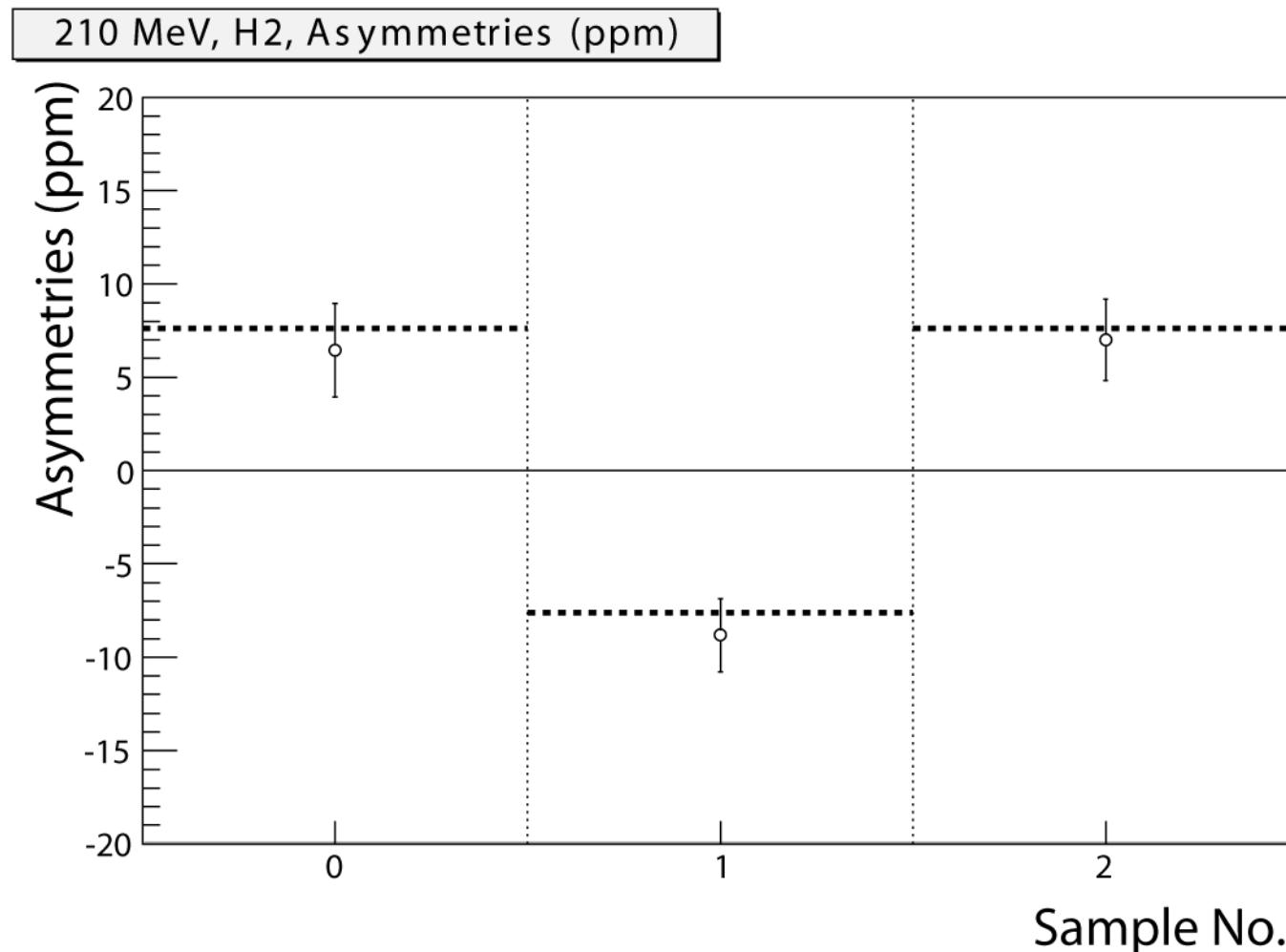


Run 40000: Chan 356 pol1 ProjX dnllcorr



# “A4-IV”

- ~ 250 hours of data, halfwave plate IN / OUT
- **Rough analysis yields:**



# “A4-IV”

- Error estimation, based on data from this beamtime:

$$G_M S \text{ (} Q^2 = 0.1 \text{ GeV}^2 \text{)} = \text{xxx} \pm 0.36 \quad (G_A \text{ taken from calculation})$$

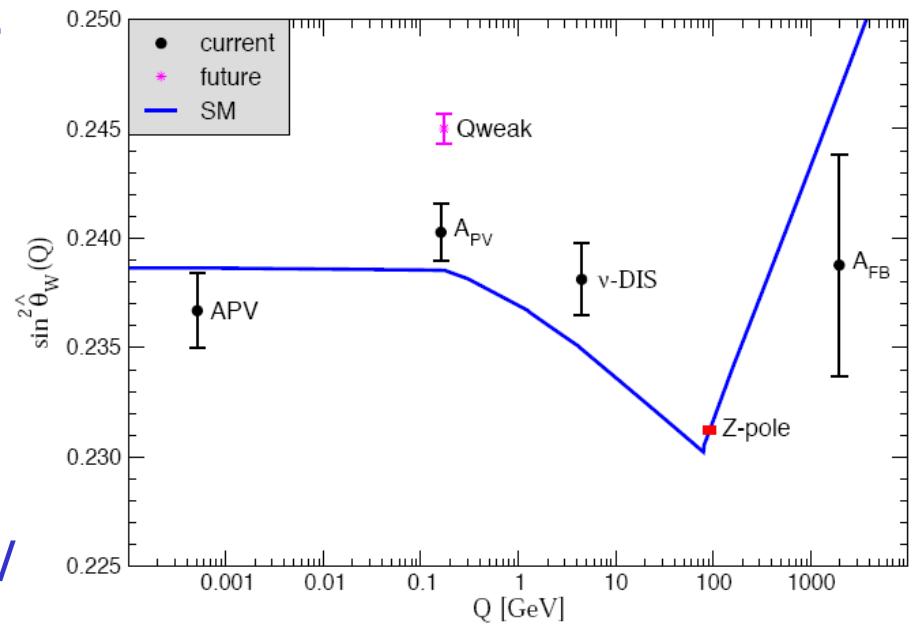
- Comparison with SAMPLE result (*D.T. Spayde et al., Phys Lett. B583 (2004)*)

$$G_M S \text{ (} Q^2 = 0.1 \text{ GeV}^2 \text{)} = 0.37 \pm 0.33 \quad (G_A \text{ taken from calculation})$$

***Next beamtimes will reduce the uncertainty.***

# Beyond A4...

- Measurement of the weak charge of the proton at low  $Q^2 \sim 0.05$  GeV $^2$
- New detector
- Enhanced polarimetry (*Brute force Moller, Double Mott => Mainz 0.5*)
- Beam energy 137 MeV (*low theoretical uncertainties due to two-boson-exchange*)
- Precision goal:  $\sin^2\Theta_W = 0.00037$
- Time scale: 2015 - 2020



# Summary

## A4 experiment:

- 10 years of parity violating electron scattering at MAMI
- Five kinematical points covering momentum transfers between  $0.1 \text{ GeV}^2$  and  $0.6 \text{ GeV}^2$
- Side product: Exploration of the Two-Photon Exchange Amplitude

## What have we learnt?

- Strangeness contributions to the electromagnetic form factors are small
- Since they are small, it is hard to measure a non-zero with significance.

## What can we do at MAMI in the future?

- Precision measurement at low  $Q^2=0.1 \text{ GeV}^2$  ( $G_M^s$  and  $G_A$ )
- High precision measurement: The weak charge of the proton ( $\sin^2\Theta_W$ )

# Strangeness contribution to the nucleon form factors

Flavour Decomposition of form factors:

$$G_{E,M}^p = \frac{2}{3} G_{E,M}^{p,u} - \frac{1}{3} G_{E,M}^{p,d} - \frac{1}{3} G_{E,M}^{p,s}$$

$$G_{E,M}^n = \frac{2}{3} G_{E,M}^{n,u} - \frac{1}{3} G_{E,M}^{n,d} - \frac{1}{3} G_{E,M}^{n,s}$$

4 equations, 12 unknown quantities...

# Charge Symmetry

Proton and neutron form an isospin doublet with  
 $T=1/2$  and  $T_3=+1/2$  (p) and  $T_3=-1/2$  (n)

$$G_{E,M}^{p,u} = G_{E,M}^{n,d}$$

$$G_{E,M}^{p,d} = G_{E,M}^{n,u}$$

$$G_{E,M}^{p,s} = G_{E,M}^{n,s}$$

# Strangeness in the Nucleon

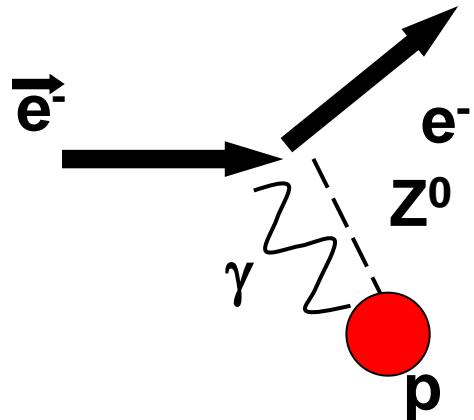
Charge symmetry:

$$G_{E,M}^p = \frac{2}{3} G_{E,M}^u - \frac{1}{3} G_{E,M}^d - \frac{1}{3} G_{E,M}^s$$

$$G_{E,M}^n = \frac{2}{3} G_{E,M}^d - \frac{1}{3} G_{E,M}^u - \frac{1}{3} G_{E,M}^s$$

4 equations, 6 unknown quantities...

# Weak interaction



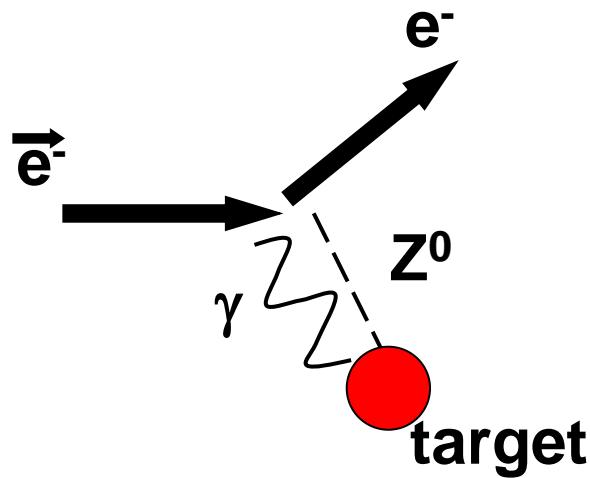
Exchange of photon and  $Z^0$

Universality of quark distribution

$$G_{E,M}^{p,Z} = \left[ \frac{1}{4} - \frac{2}{3} \sin^2 \Theta_W \right] G_{E,M}^u + \left[ \frac{1}{4} - \frac{1}{3} \sin^2 \Theta_W \right] G_{E,M}^d + \left[ \frac{1}{4} - \frac{1}{3} \sin^2 \Theta_W \right] G_{E,M}^s$$

Two more equations => Problem in principle solved

# Parity violating electron scattering



.Polarised electron beam

.Unpolarised target

$$\sigma \propto |M^{EM} + M^{NC}|^2 \approx 1 \square 10^{-6} \square 10^{-12}$$

Direct measurement not possible

=> Asymmetry measurement

$$A_{PV} = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} \sim \frac{|M^{NC}|}{|M^{EM}|} \sim \frac{Q^2}{|M_Z|^2} \approx 10^{-6}$$

# A4 backward results ( $H_2 / D_2$ )

