#### Attività di analisi a Milano Bicocca

#### Paul Seyfert, per il gruppo LHCb di Milano Bicocca

INFN Milano Bicocca

LHCb Italia Meeting, 13 ottobre 2015, Frascati



#### $1 \sin(2\beta)$

#### **2** $B^0$ mixing

 $3 V_{\rm ub}$ 

#### 4 More on flavour tagging



# $\sin(2\beta)$ in $B^0 \rightarrow D_{-}^+D^-$

- ${\scriptstyle \blacksquare}~ B^0 \rightarrow D^+ D^-$  is sensitive to  $\sin(2\beta)$
- not as sensitive as other channels though...but interesting for other reasons<sup>1</sup>:
- tension between Belle and BaBar



<sup>1</sup>See arXiv:1505.01361 or Kristof De Bruyn at "B2OC Time-Dependent workshop, Padova, July 2015"



 $sin(2\beta)$ 



## $\sin(2\beta)$ in $B^0 \rightarrow D^+D^-$

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- not as sensitive as other channels though...but interesting for other reasons<sup>1</sup>:
- tension between Belle and BaBar
- measurement of CP violation parameters in  $B^0 \to D^+D^-$  and  $B^0 \to J/\psi K_S$  together provide handle on penguin contributions in  $B_x \to D_y D_z$  systems

 $\rightsquigarrow$  necessary to measure  $\phi_{s}$  in  ${\rm B^{0}_{s}} \rightarrow {\rm D_{s}D_{s}}$ 



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#### Analysis details



#### signal channel

#### final states:

■  $B^0 \to D^+(K^-\pi^+\pi^+)D^-(K^+\pi^-\pi^-)$ ■  $B^0 \to D^\pm(K^\mp K^\pm \pi^\pm)D^\mp(K^\pm \pi^\mp \pi^\mp)$ adds ~ 20 % signal yield



- $\blacksquare \sim 1435\,\mathrm{B}^{0}$  yield
- $\blacksquare \sim 346\, B_s^0$  yield



#### Analysis details



#### signal channel

final states:



- $\blacksquare \sim 1435\,\mathrm{B}^{0}$  yield
- $\blacksquare \sim 346\,B_{\rm s}^0$  yield

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statistics increased by factor 2.5 over first analysis at LHCb!

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#### control channel

final states:  

$$B^0 \to D_s^{\pm}(K^{\mp}K^{\pm}\pi^{\pm})D^{\mp}(K^{\pm}\pi^{\mp}\pi^{\mp})$$



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### Backgrounds





If ixing the  $B^0$  width to the width from  $K\pi\pi$  does not describe the data





#### Backgrounds





- fixing the  ${
  m B}^0$  width to the width from  ${
  m K}\pi\pi$  does not describe the data
- $\blacksquare$  fixing the  ${\rm B}^0$  width and yield to the expected values requires an additional component
- f background sitting exactly at the signal peak!
- $\blacksquare$  these are  $B \to DKK\pi$  decays not going through a second D meson
- veto by requiring D flight length significance



 $sin(2\beta)$ 

 $sin(2\beta)$ 





- expect to be statistically dominated
- $\rightarrow\,$  need to optimise statistical sensitivity
  - use all available taggers including new (uncalibrated) taggers
  - $\blacksquare \text{ use } B^0 \to D_s D$ 
    - flavour specific final state
    - $\rightarrow\,$  know  $\rm B\,$  flavour at decay
    - $\rightarrow\,$  fit oscillation amplitude to obtain mistag rate  $\mathcal{A}\propto 1-2\omega$
- ✓  $B^0$  oscillation is slow ⇒ damping from time resolution not an issue
- ✓ clean signal ⇒ little to no complication from background expected







¿ Is  ${\rm B}^0 \to {\rm D_s D}$  the right channel?



 $\checkmark$  Taggers perform the same on the signal and the calibration channel

- tagging efficiency
- mistag rate
- mistag rate as a function of predicted mistag rate (plot)





Tagging calibration in data (standard opposite side taggers)



proof of principle: look at standard opposite side tagger combination



- we see an oscillation in data
- divide the the data according to predicted mistag probability
- fit oscillation in each category



Tagging calibration in data (standard opposite side taggers)



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Calibrazione\_OS

- we see an oscillation in data
- divide the the data according to predicted mistag probability
- fit oscillation in each category
- ✓ predicted mistags are accurate
  - $\bullet$   $p_0 \approx p_2$
  - $p_1 \approx 1$











- first calibration fits are there
- ✓ very high tagging power (expect combined  $\sim 6\%$ )
- ; why is  $\chi^2/\mathrm{ndf}$  so good?
- $\rightarrow$  need to understand systematics!
  - sWeights
  - acceptance effects
  - remaining background

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#### One short item in between



 $\blacksquare~B^0$  oscillation frequency measurement with  $B^0 \to D^{(*)} \mu \nu$ 

## Fit projections: $B^0 \rightarrow D^{*-} \mu^+ \nu_{\mu}$

• Time/asymmetry projections for 2012 sWeighted data







- world's most precise  $\Delta m_{\rm d}$  measurement
- ✓ shown at EPS as CONF note  $(0.5036 \pm 0.0020 \pm 0.0013) \text{ ps}^{-1}$
- paper in preparation this might be the last Δm<sub>d</sub> for a long time. It must be done as good as we can!





#### **2** $B^0$ mixing

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 $V_{\rm ub}$ 

 $V_{\rm u\,b}$ 



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- $\blacksquare$  so far only one measurement from LHCb:  $\Lambda_b \to p \mu \nu$
- ${\scriptstyle \blacksquare}~ B^0_s \rightarrow K \mu \nu$  may become the second channel
- ✓ theoretically well studied

 $V_{\rm ub}$ 



plots from arXiv:1501.05373



#### comparing to $\Lambda_b \rightarrow p \mu \nu$

- normalising:  $\mathcal{B}(D_s \to KK\pi)$  better known than  $\mathcal{B}(\Lambda_c \to pK\pi)$
- production:  $f_{\Lambda} \sim 2f_{\rm s}$
- $\blacksquare$  no background from D decays in  $\Lambda_b$  analysis



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#### Backgrounds: a challenge we attacked already

 $\blacksquare$  any N-body B decay with at least one  $\mu$  and one K is a background

$$B^+ \to J/\psi K^+$$

$$B \to D_s(K + X)\mu\nu$$

$$\bullet B^0 \to J/\psi K^*$$

 $\rightarrow\,$  need to veto these



- backgrounds can be  $H_{
  m b} o {
  m K} \mu + X$  where X contains at least one more charged particle
- $\rightarrow$  we should be able to find X

#### Isolation variables

- once developed in Marseille for  $B^0_s 
  ightarrow \mu\mu$  (reject backgrounds)
- further improved with a BDT in Milano Bicocca for  $\tau \rightarrow \mu \mu \mu$  (reject partially reconstructed backgrounds)
- (approach also taken by Matteo Rama for  $B \rightarrow \mu\mu$ , as seen yesterday)
- retuned for  $\Delta m_{\rm d}$  (distinguish B<sup>+</sup> from B<sup>0</sup>)



 $V_{\rm ul}$ 





• backgrounds can be  $H_b \to K\mu + X$  where X contains at least one more charged particle  $\to$  we should be able to find X



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#### Tagging in 2015



• use  $B \rightarrow D^* \mu \nu$  (as in  $\Delta m_d$  analysis)





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More on flavour tagging

#### oscillation already visible in 2015!







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Tracking



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- 😕 fakes are bad for the trigger bandwidth
- 😕 fakes are bad for CPU time in HLT
  - RICH PID for fake tracks

- vertex fits for combinatorics with fake tracks
- $\rightarrow$  use \_TRACK\_GhostProb already in the HLT





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- $\rightarrow$  use \_TRACK\_GhostProb already in the HLT
- $\pmb{\mathsf{X}}$  validation cannot wait for stripping and analysts to test it in their selections



#### test cases



#### $B \rightarrow J/\psi\gamma(ee)$ (reprocessing run1)



# ${\rm K}_{\rm S} \rightarrow \pi\pi$ with downstream tracks



#### $\mathrm{Z} ightarrow \mu \mu$ (Stephen Farry)



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Tracking

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- we're attacking the CKM triangle from three sides
  - ✓  $\Delta m_{\rm d}$  done
    - sin  $2\beta$  ongoing
  - $V_{
    m ub}$  started
- reuse gained tools and expertise in new topics!
- focus on B2OC and SL
- combine tagging and analysis efforts!
- (not mentioned today) Wbb and  $t\overline{t}$  production