



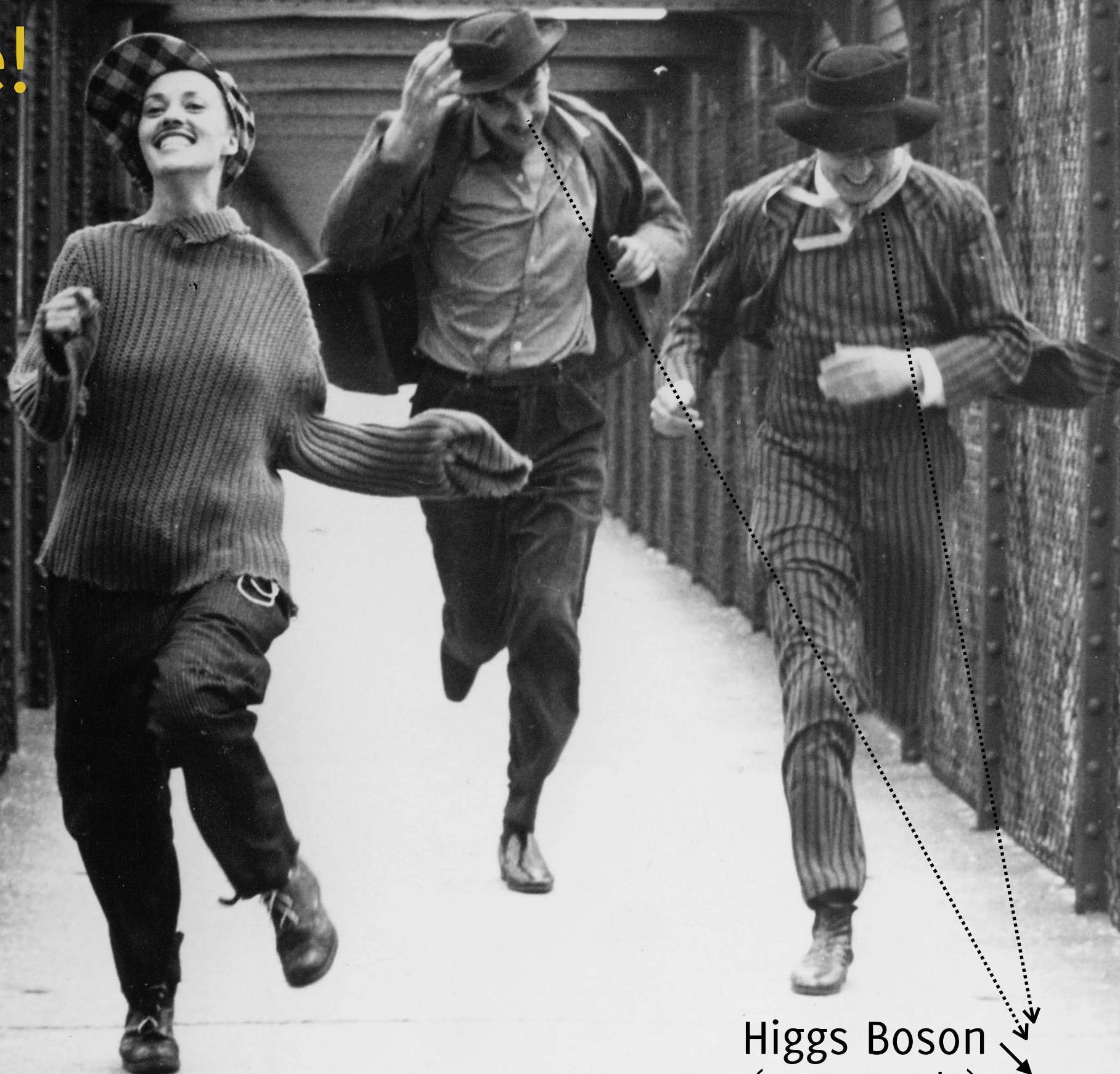
Measurement of the properties of the new particle observed within the search for the Standard Model Higgs boson in the $H \rightarrow ZZ^{(*)} \rightarrow 4\ell$ decay channel at ATLAS

VALERIO IPPOLITO
Harvard University



PhD Thesis defended at Sapienza Università di Roma
thesis advisors: Carlo Dionisi, Stefano Giagu, Marco Rescigno

we discovered a new fundamental particle!



Higgs Boson
(not to scale)

we discovered a new fundamental particle!

we have reasons to be happy!

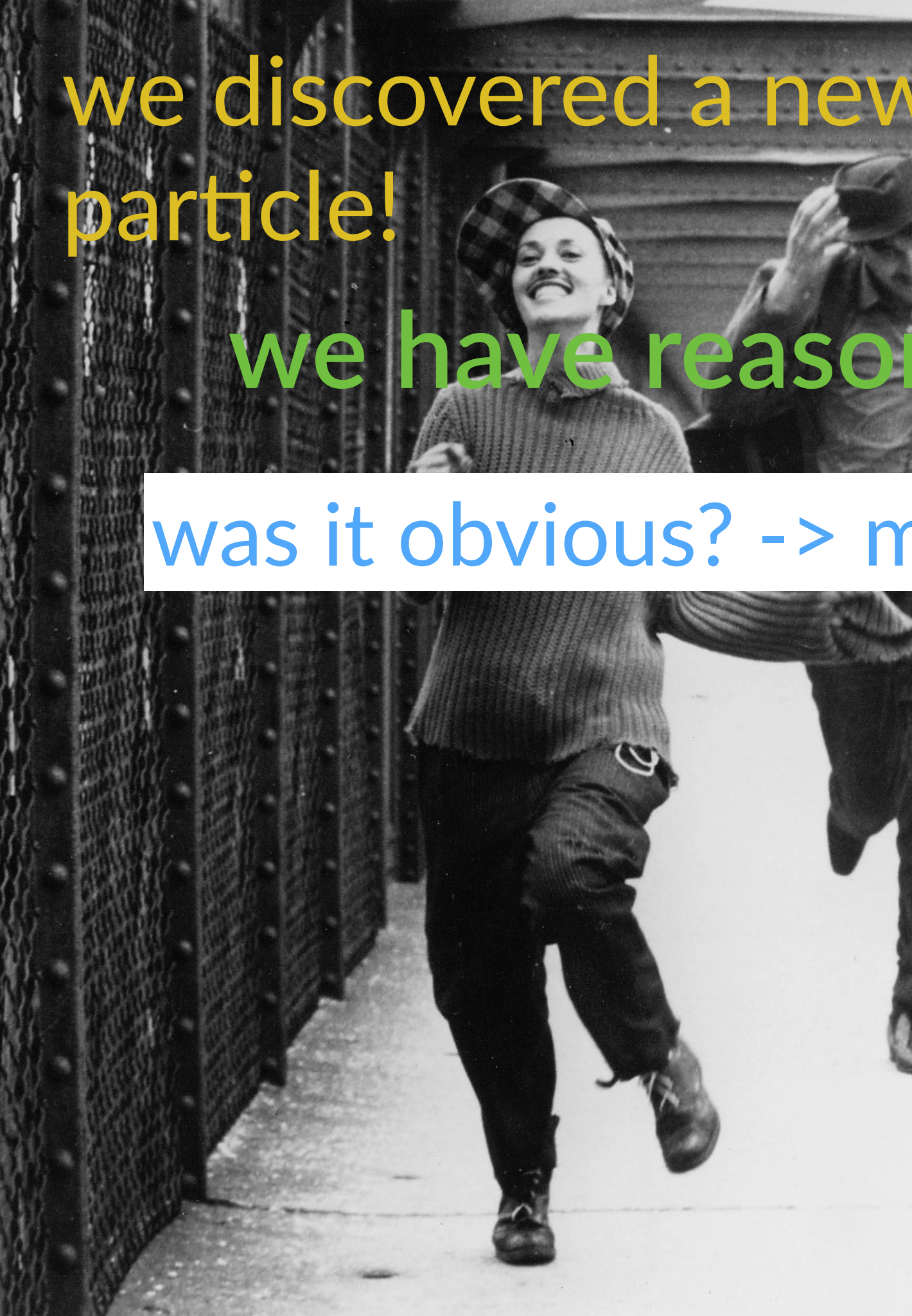


Higgs Boson
(not to scale) ↘

we discovered a new fundamental particle!

we have reasons to be happy!

was it obvious? -> making of a discovery



Higgs Boson
(not to scale) ↘

we discovered a new fundamental particle!

we have reasons to be happy!

was it obvious? -> making of a discovery

+ where are we actually going next



Higgs Boson
(not to scale) ↘

The (Unnecessary) Outline Slide

- ▶ discovery
 - ❖ $H \rightarrow ZZ^* \rightarrow 4l$
 - ❖ happiness
- ▶ discovery, more in detail
 - ❖ crucial ingredients
 - ❖ characterising our signal
- ▶ what's next (or, why should we keep on running)

PhD thesis defended on February 18th, 2014

Why Do We Even Care?

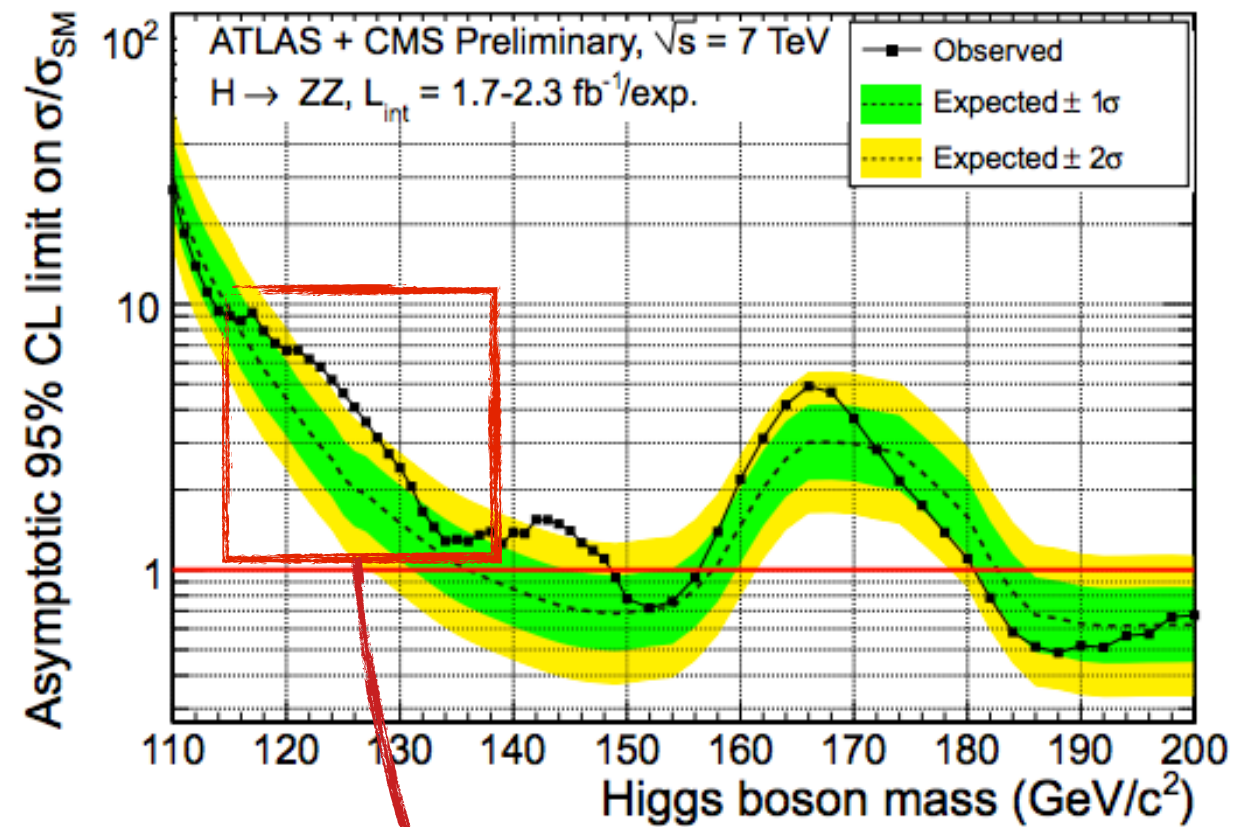
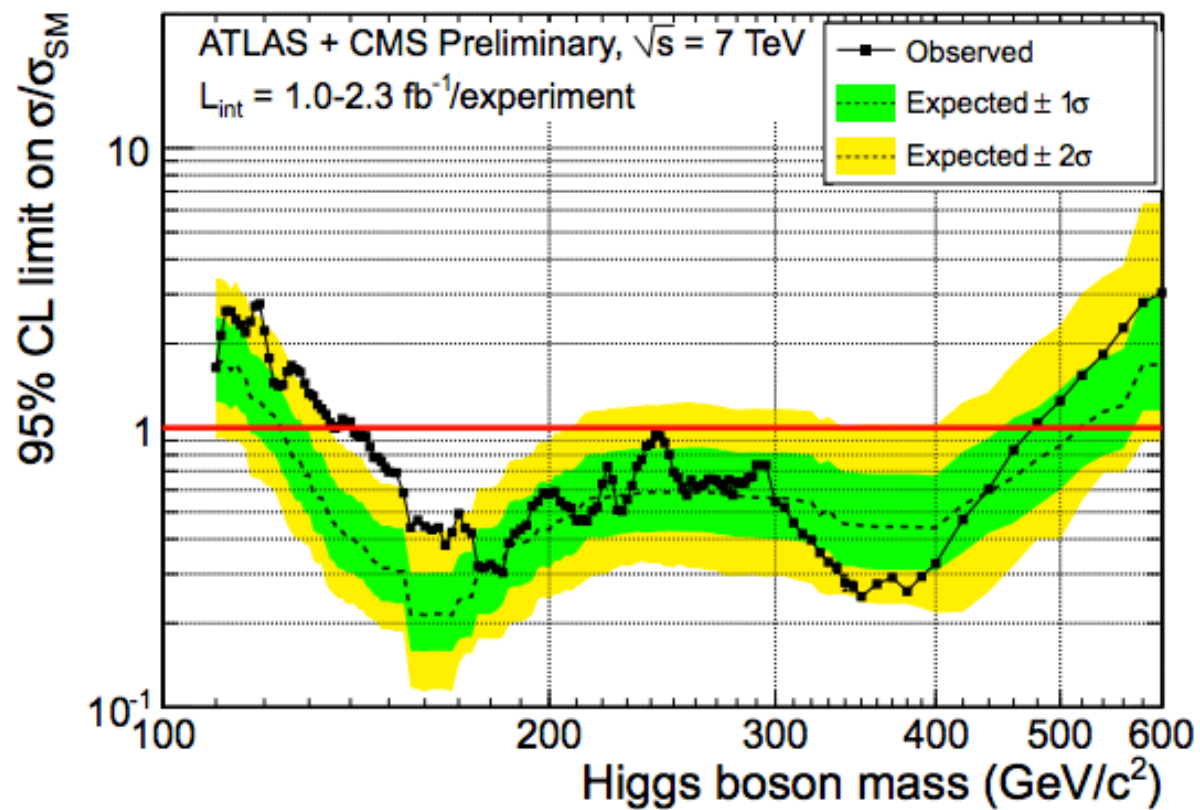
or: a short slide about motivations

- ▶ tremendous agreement between SM and experimental results
 - ❖ + missing particle (Higgs boson)
 - ❖ + unsolved mysteries (e.g. Dark Matter, baryon/antibaryon asymmetry)
- ▶ knowledge advances usually require attentive scrutiny of newfound things
 - ❖ like no-more-missing particles (Higgs boson)
 - ❖ like the SM itself (probe possible extensions)
- ▶ TeV scale is our sky, LHC our telescope!



0 Higgs Boson, where Art Thou?

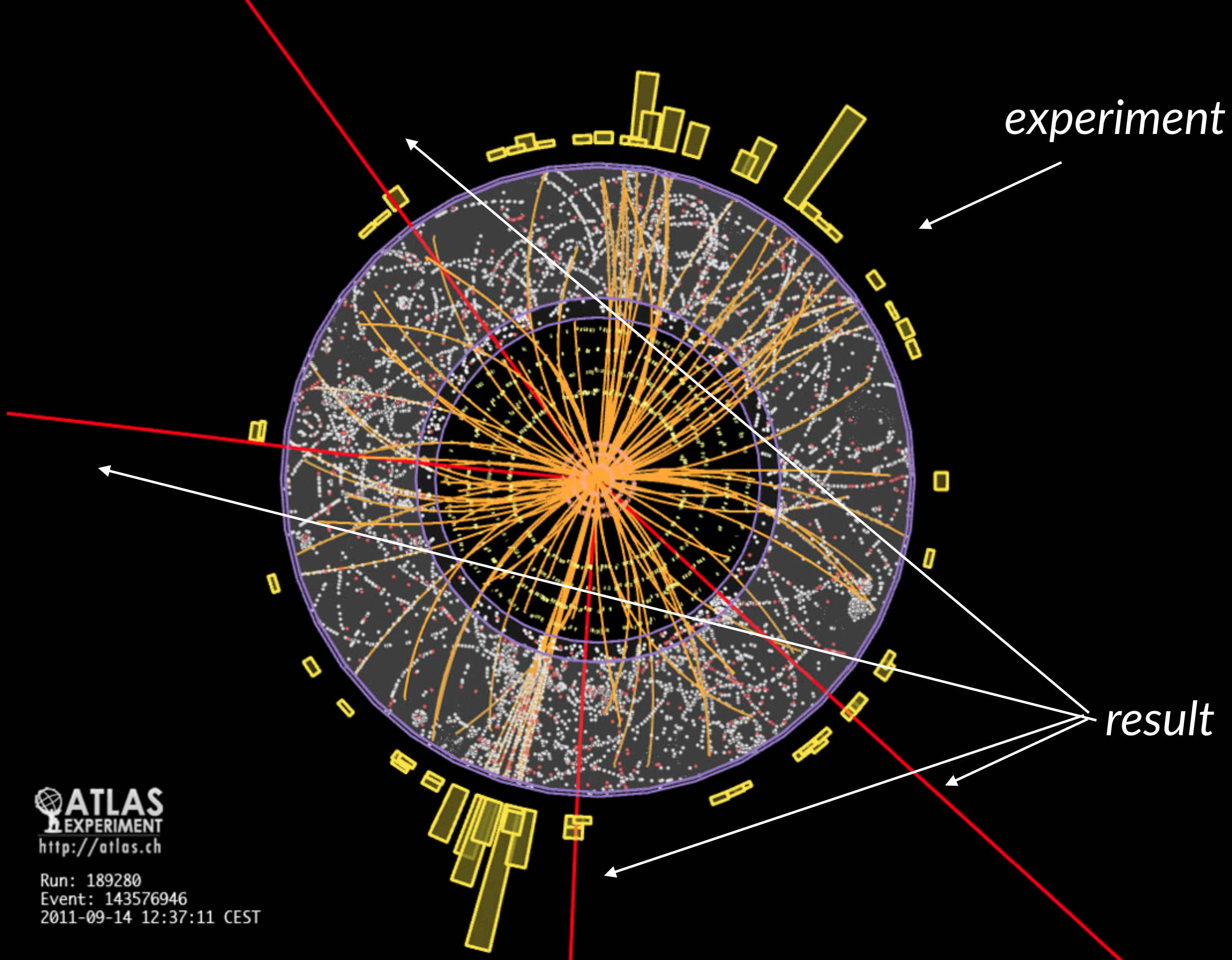
Status in ~October 2011 (my PhD thesis day-o)



Discovery

Phys. Lett. B 726 (Jul, 2013) 88-119

Phys. Lett. B 716 (Aug, 2012) 1-29



experiment

result

ATLAS
EXPERIMENT
<http://atlas.ch>

Run: 189280
Event: 143576946
2011-09-14 12:37:11 CEST

2011 pp collisions at 7 TeV
2012 pp collisions at 8 TeV

Muon Spectrometer

Hadronic Calorimeter

Electromagnetic Calorimeter

Solenoid magnet
Tracking { Transition Radiation Tracker
Pixel/SCT detector

Muon

Neutrino

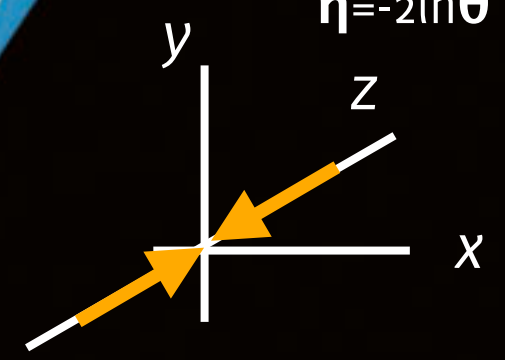
Proton

Neutron

Electron

Photon

$$p_T^2 = p_x^2 + p_y^2$$
$$\eta = -2 \ln \theta$$



The dashed tracks are invisible to the detector

The Golden Channel

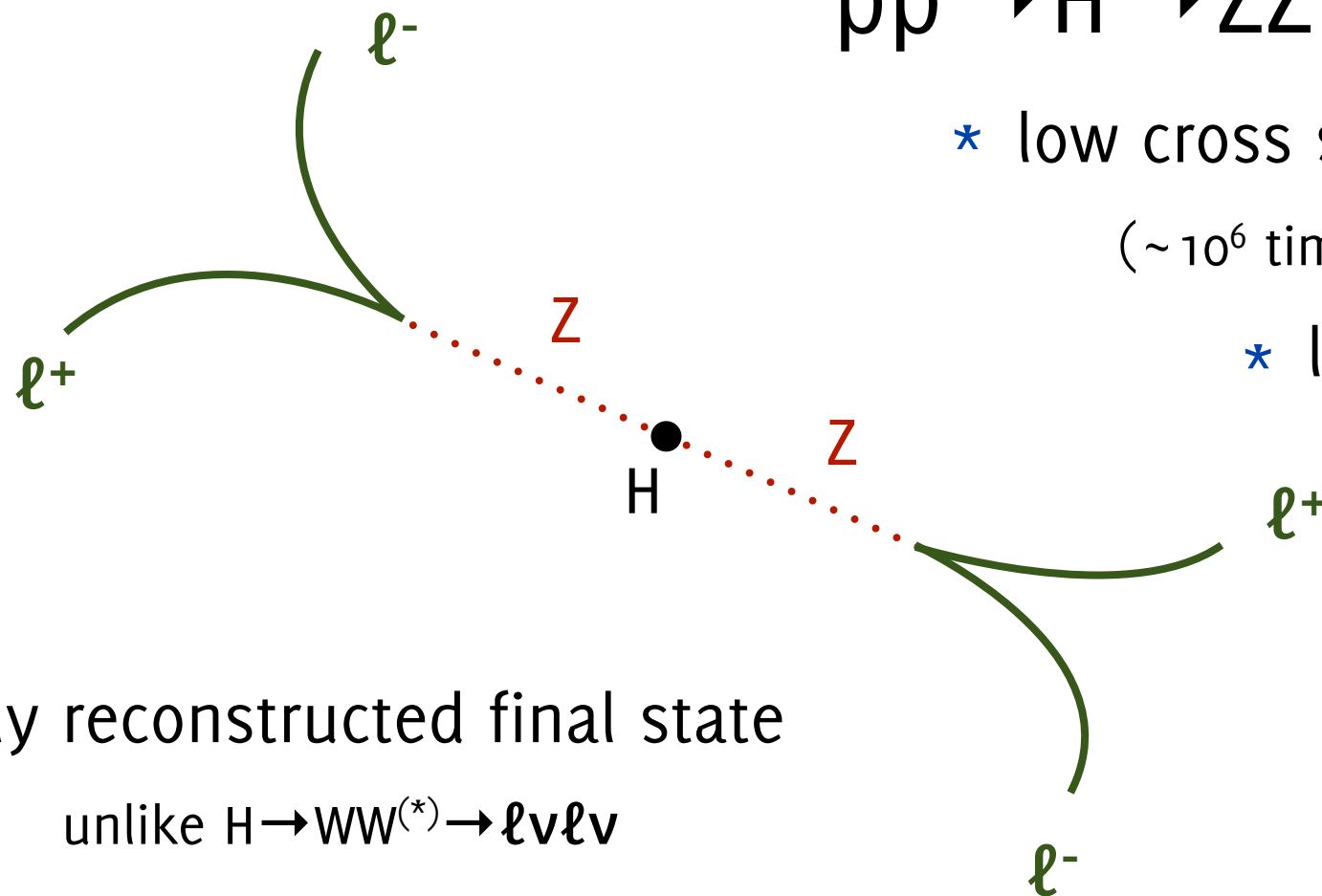
charged leptons give the cleanest signatures:

$$pp \rightarrow H \rightarrow ZZ^{(*)} \rightarrow 4\ell \quad [m_H = 100 \div 600 \text{ GeV}]$$

* low cross section: 2-5 fb

($\sim 10^6$ times less probable than $pp \rightarrow Z \rightarrow \ell^+ \ell^-$)

* low background contamination
from other processes faking signal



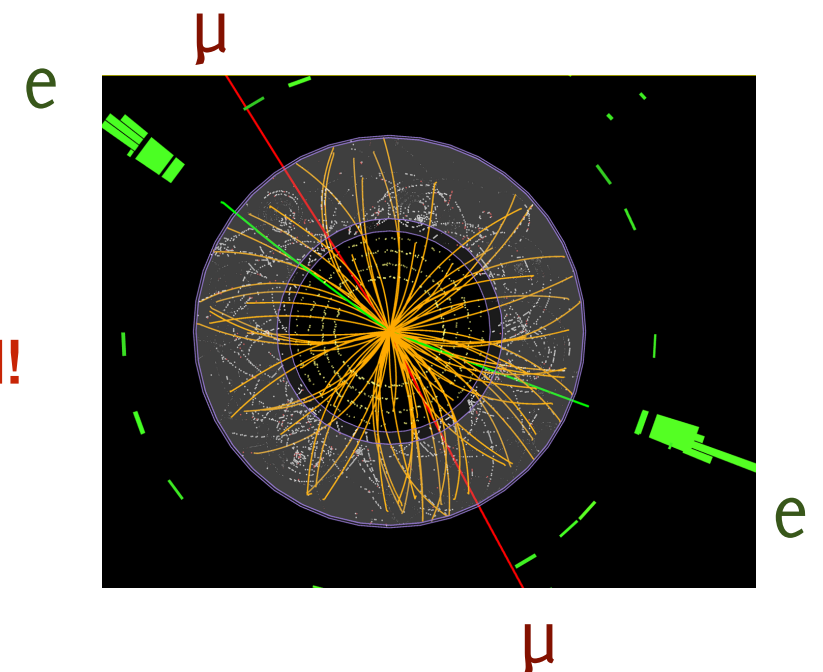
* fully reconstructed final state

unlike $H \rightarrow WW^{(*)} \rightarrow \ell \nu \ell \nu$

➤ handy when you want to know what you discovered!

* if $m_H < 2m_Z$, only one Z boson is on-shell

let's call it Z_1



The Golden Channel

charged leptons give the cleanest signatures:

$$pp \rightarrow H \rightarrow ZZ^{(*)} \rightarrow 4\ell \quad [m_H = 100 \div 600 \text{ GeV}]$$

* low cross section: 2-5 fb

($\sim 10^6$ times less probable than $pp \rightarrow Z \rightarrow \ell^+ \ell^-$)

Run-1 signal region means 0(30) events!

1. understand your detector
2. maximise your acceptance
3. optimise signal sensitivity

* fully recorded

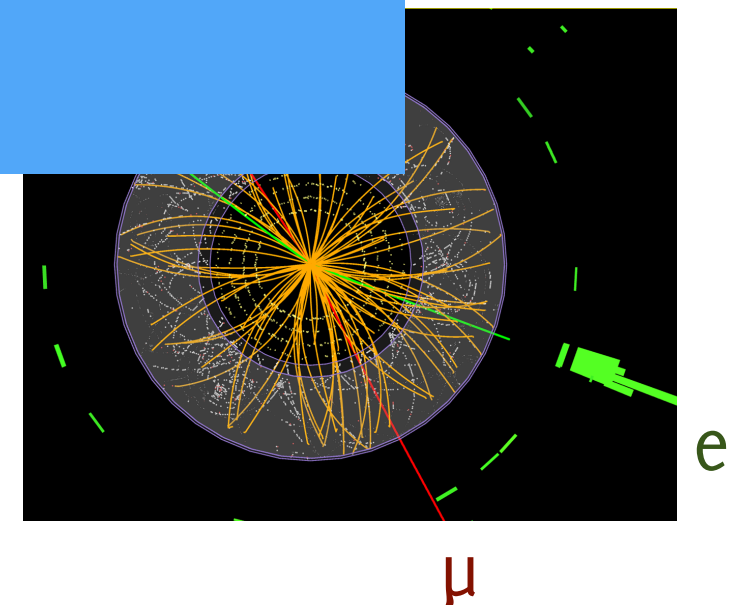
unlike $pp \rightarrow WW \rightarrow \ell\nu\ell\nu$

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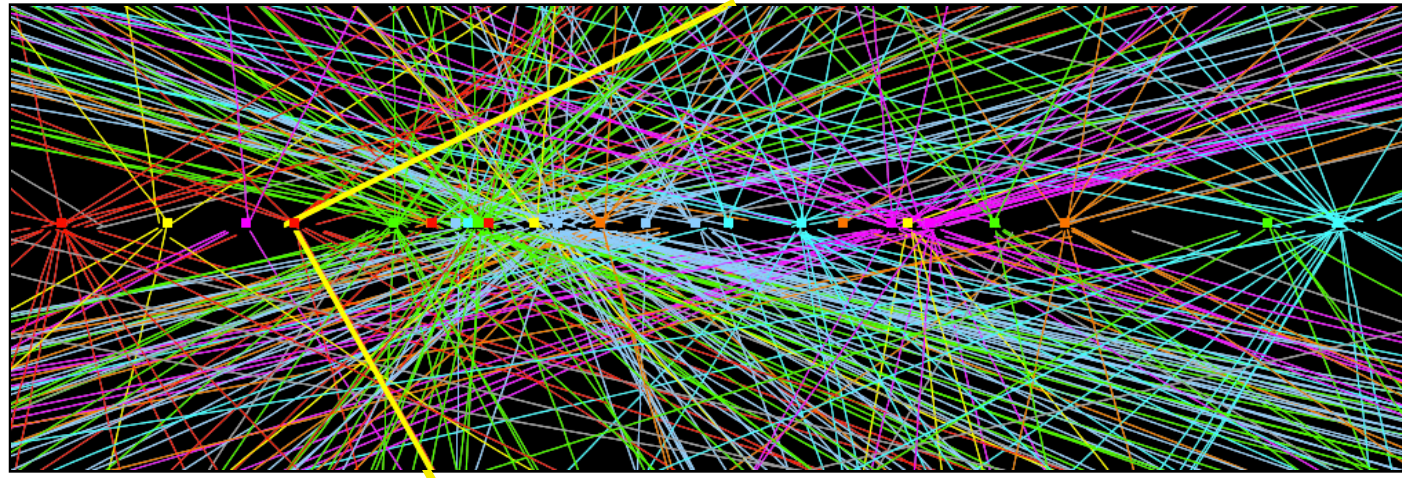
let's call it Z_1

V. Ippolito - Fra We label final states like e.g. $2\mu 2e$ ($Z_1 \rightarrow \mu\mu, Z_2 \rightarrow ee$)



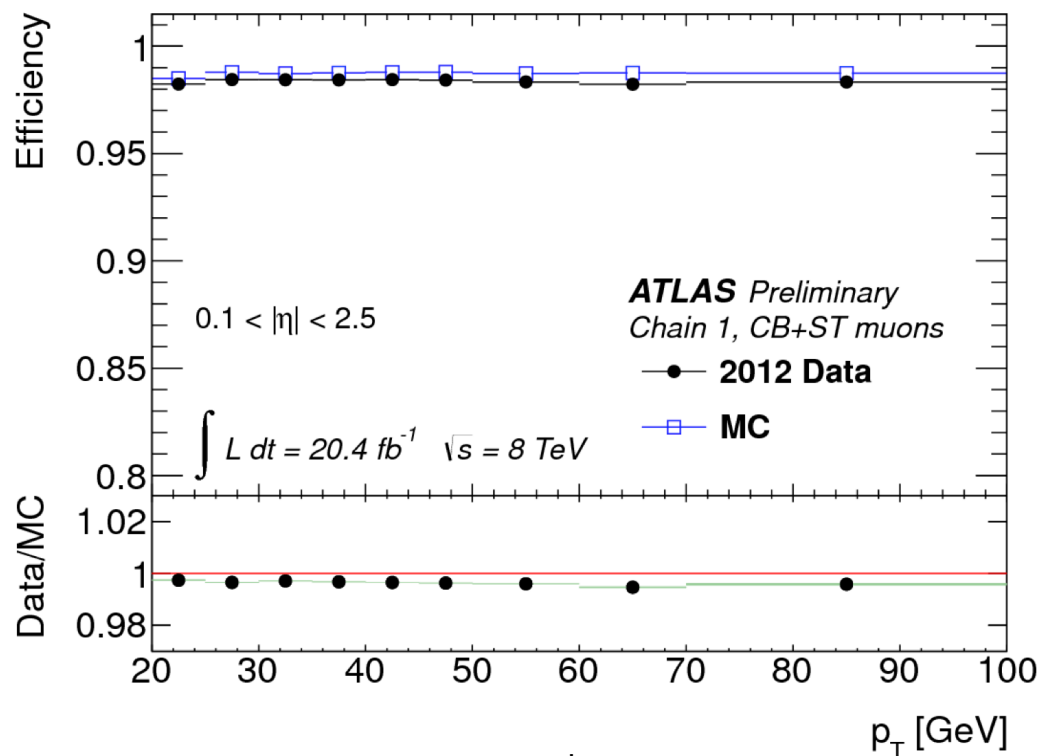
Reconstruction: a Challenge

pile-up is the price you have to pay if you want a discovery in <3 years...

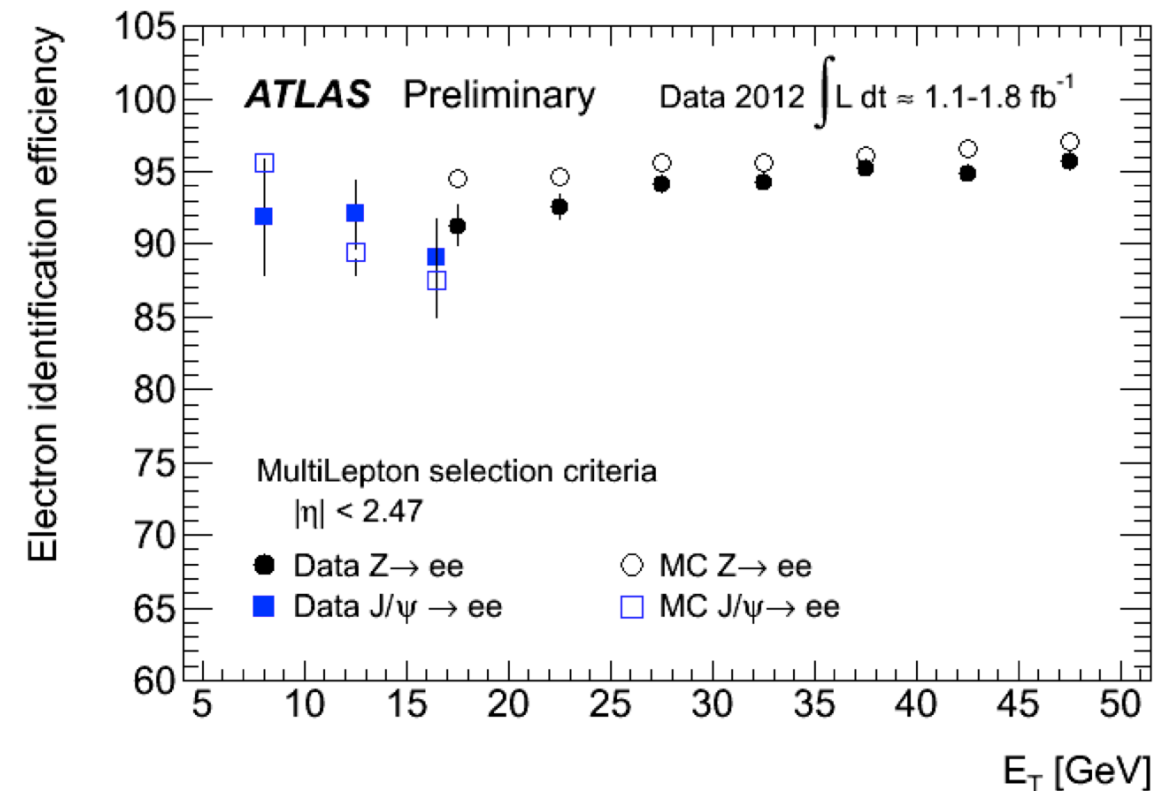


L up to $7.7 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$

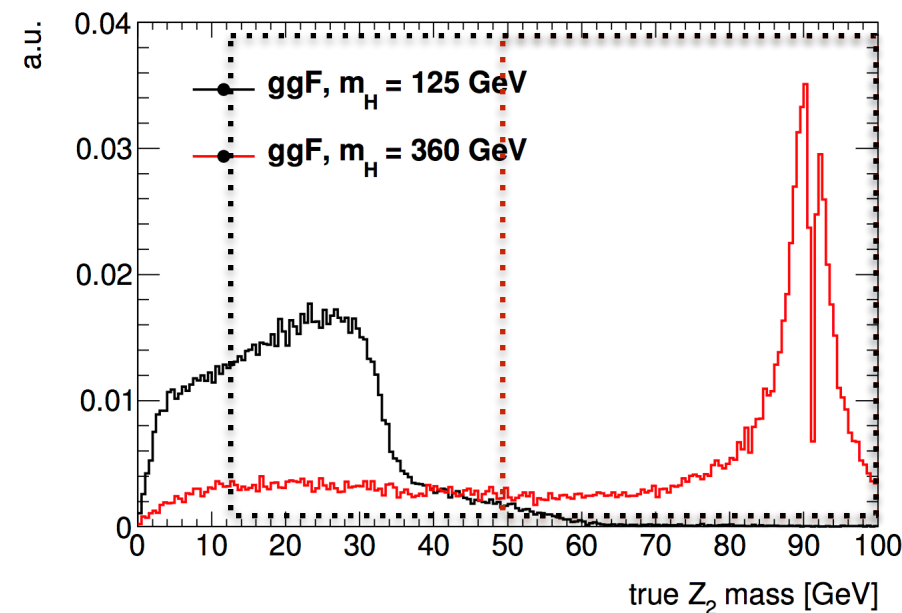
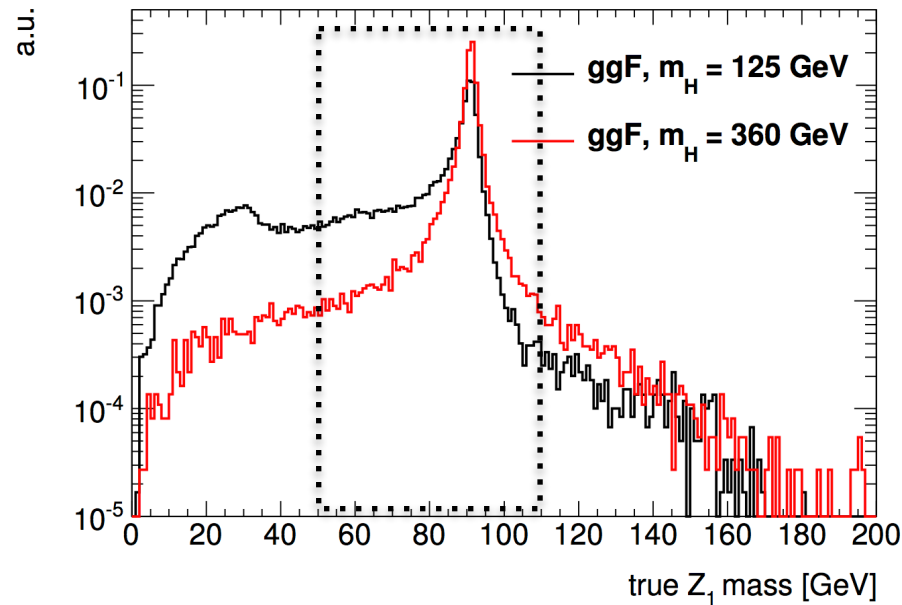
Muons



Electrons



Event Selection



- four leptons with $p_T > (20, 15, 10, 6/7)$ GeV
- * isolated ($ptcone20/p_T < 15\%$, $etcone20/p_T < 20/30\%$)
 - * from primary interaction ($|d_0|/err < 3.5/6.5$)

m_{4l} -dependent mass cut on Z_1, Z_2

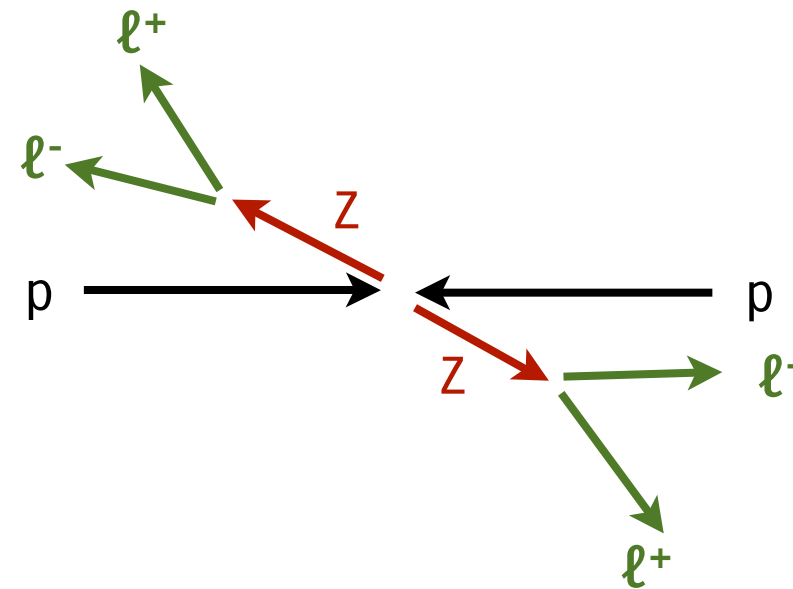
- * $50 < m_1 < 106$ GeV
- * $m_2 > 12$ GeV if $m_{4l} < 140$ GeV
growing linearly up to
 $m_2 > 50$ GeV if $m_{4l} > 190$ GeV

overall signal efficiency is
($4\mu, 2\mu 2e+2e2\mu, 4e$) = (39%, 26%, 19%)

Background processes

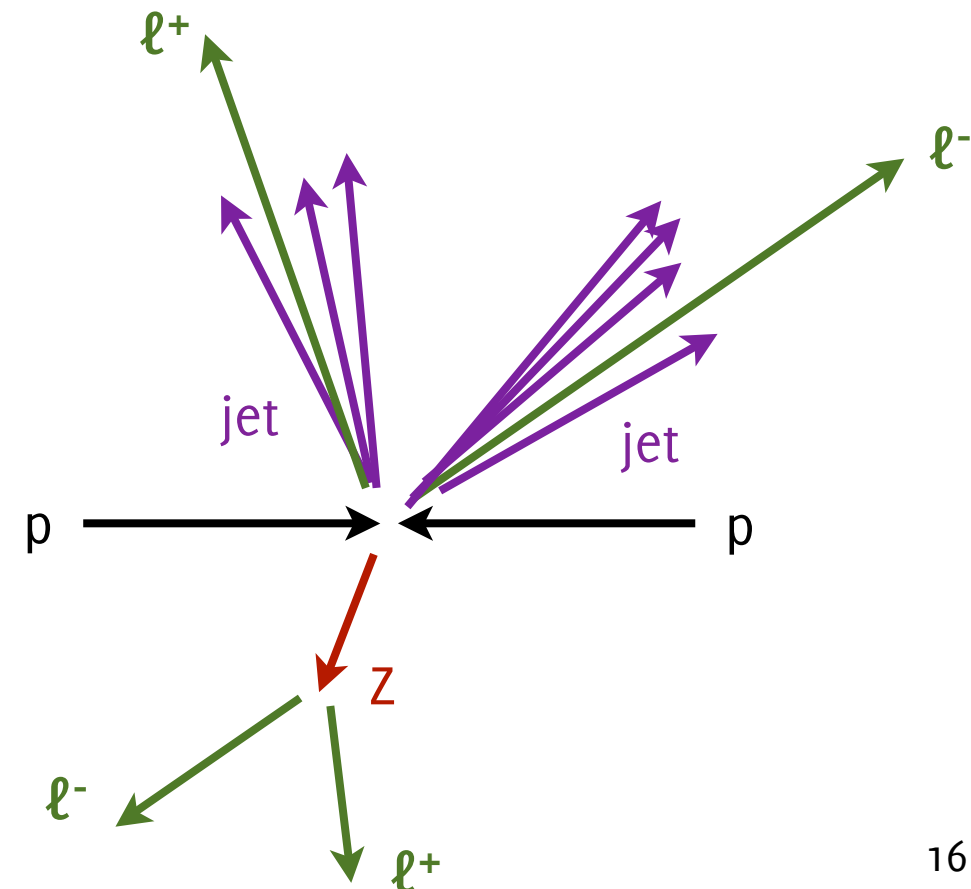
irreducible background

- * $pp \rightarrow ZZ^{(*)} \rightarrow 4\ell$ [MC]
- * same final state as signal
- * dominant at high m_H

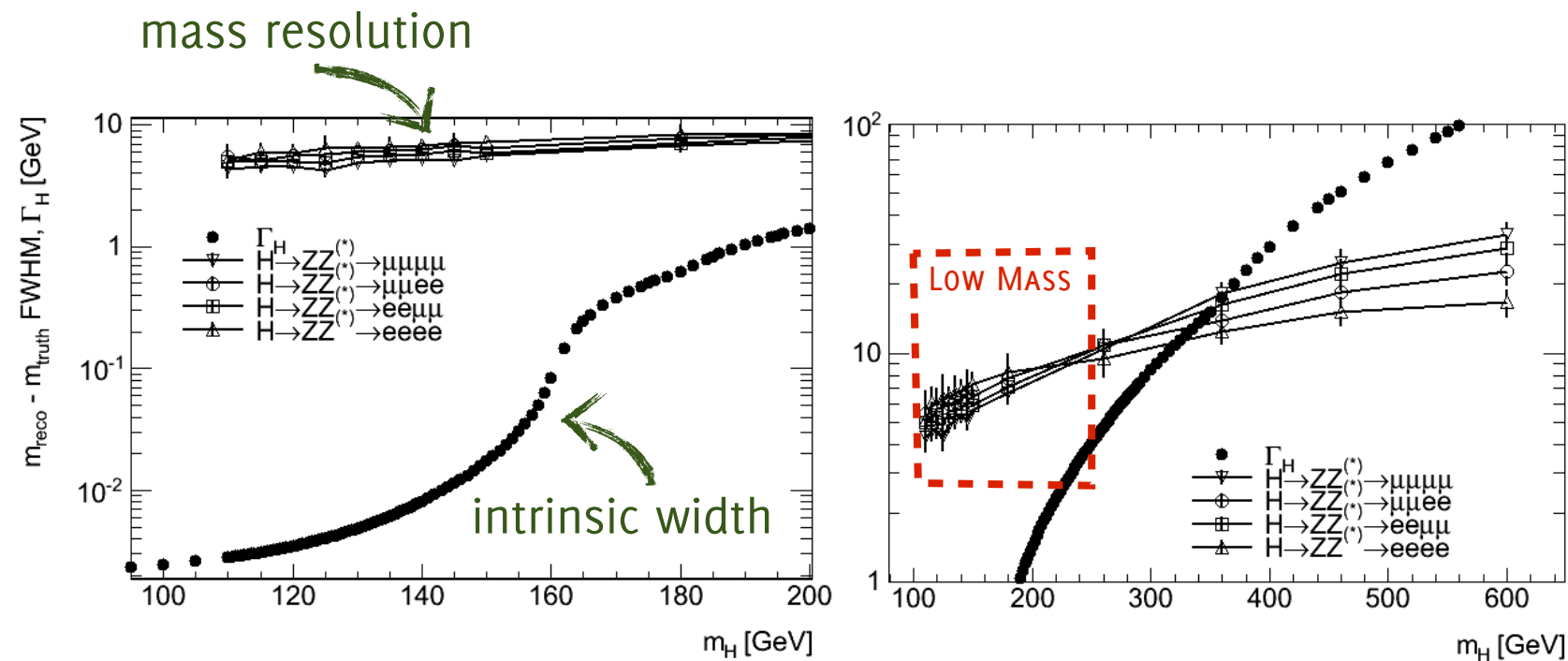


reducible backgrounds

- * Z+bb, Z+jets, tt [data, MC]
- * relevant contribution at low m_H
- * rejection: ask leptons to be isolated and compatible with the primary interaction
- * estimated from data [MC modeling is hard]



The Z Mass Constraint Fit



good mass resolution is crucial in the low m_H region

- * one way to improve it at analysis level is to refit leptons from on-shell Z with a constraint on their mass m_{2l}
- * we can't do that using $m_Z=91$ GeV, but must use m_Z^{true} which is an event-by-event observable

HOW?

From m_{2l} to m_Z^{true}

we need a meaningful constraint $m_{2l}=m_Z^{\text{true}}$

- * the more uncertain the momentum measurement, the more m_{2l} is let to go back to m_Z
- * the way this happens is a consequence of event-by-event resolution

maximize

$$p(m_Z^{\text{true}}|m_{2l}) \propto p(m_{2l}|\sigma_{m_{2l}}, m_Z^{\text{true}}) \cdot p(m_Z^{\text{true}}|m_Z, \Gamma_Z)$$

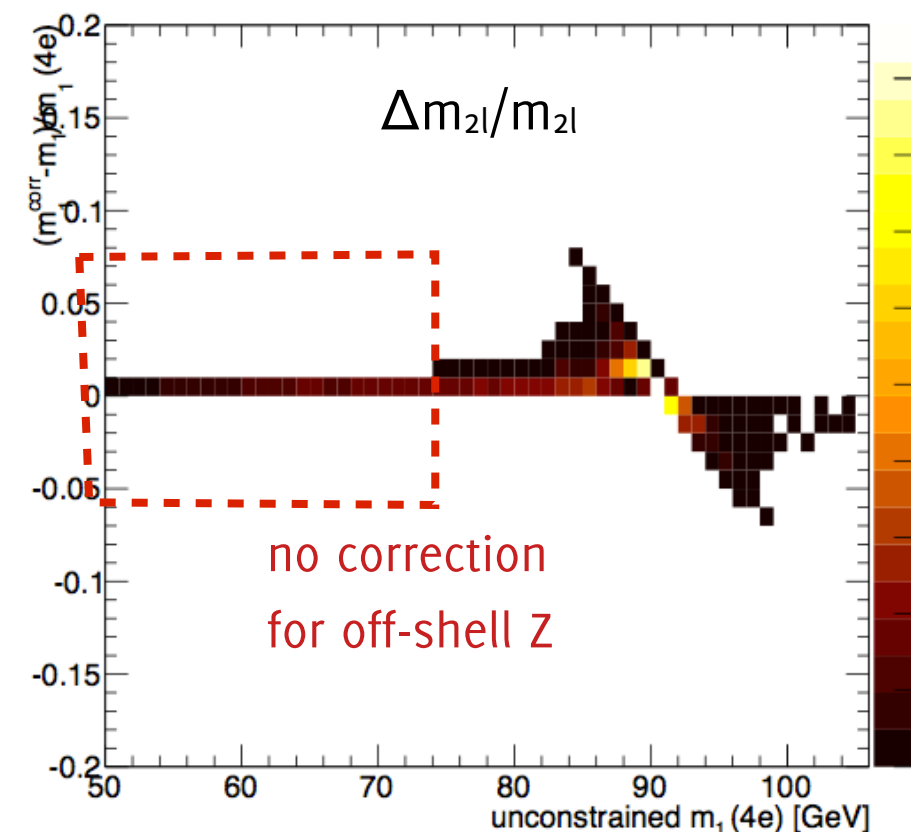
prior on m_Z^{true}
(Breit-Wigner)



resolution term

(gaussian with $\sigma_{m_{2l}}$ from lepton momentum covariance matrices)

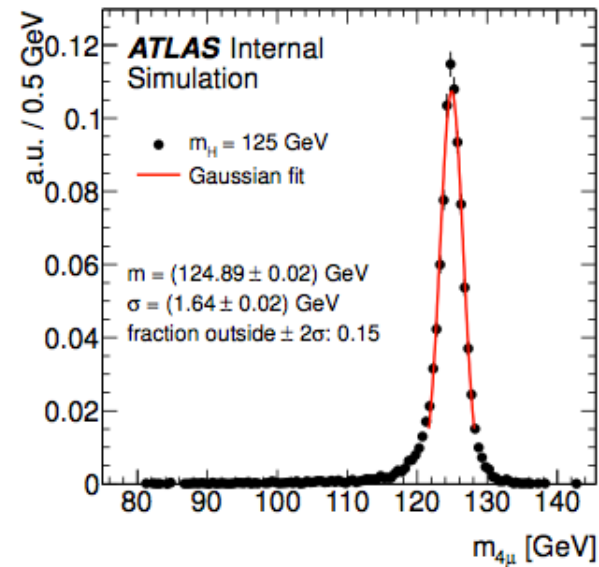
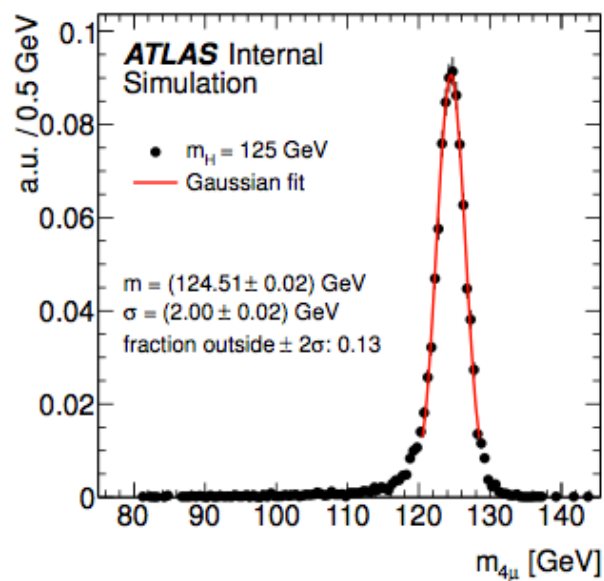
correction is applied using constrained fit of lepton momenta (Lagrange multipliers)



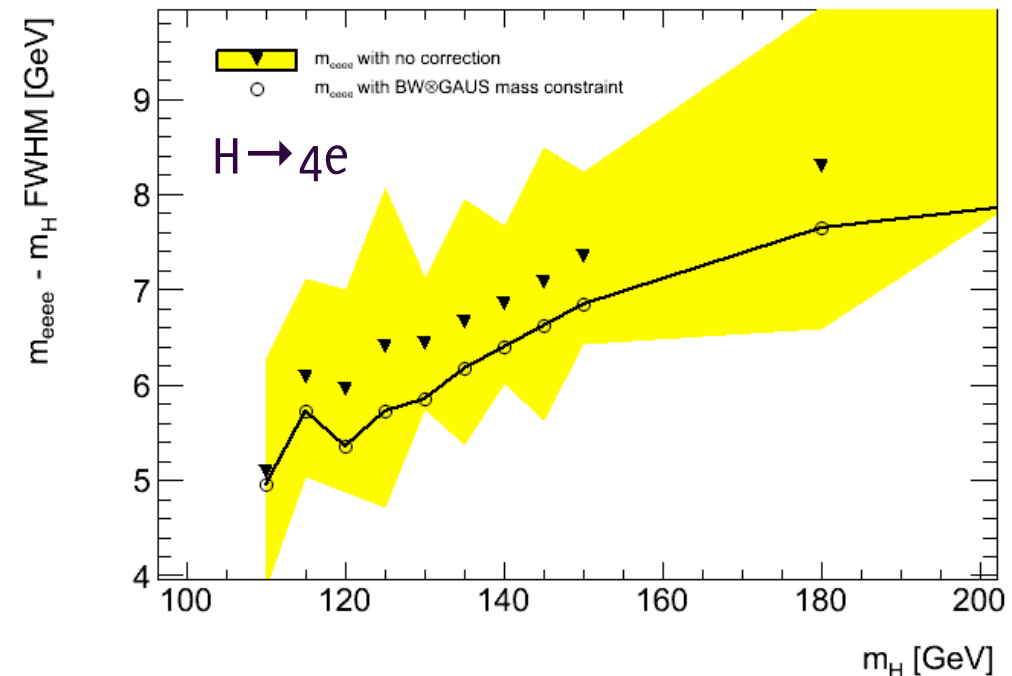
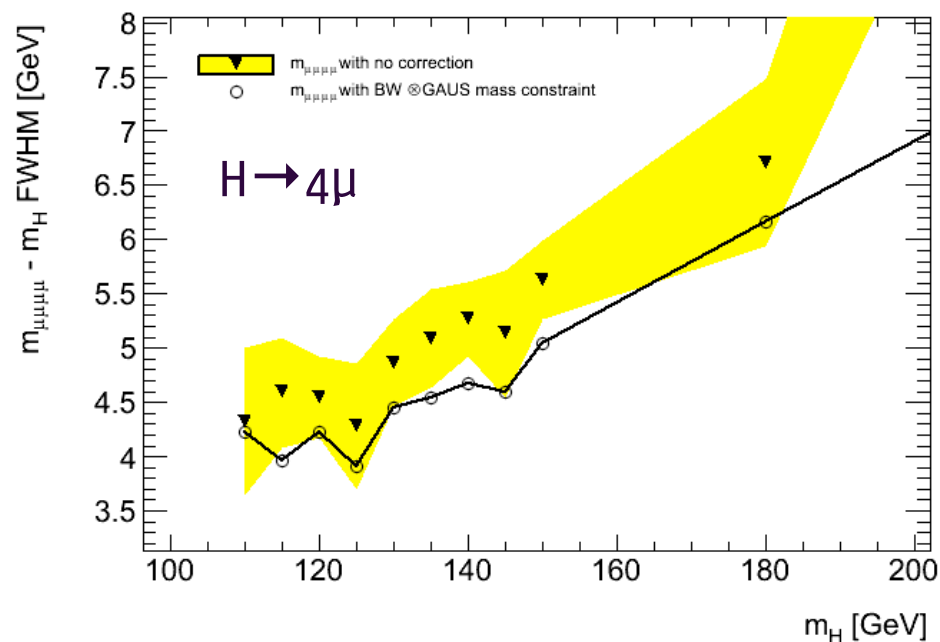
Z Mass Constraint Fit

0(10%) improvement in resolution

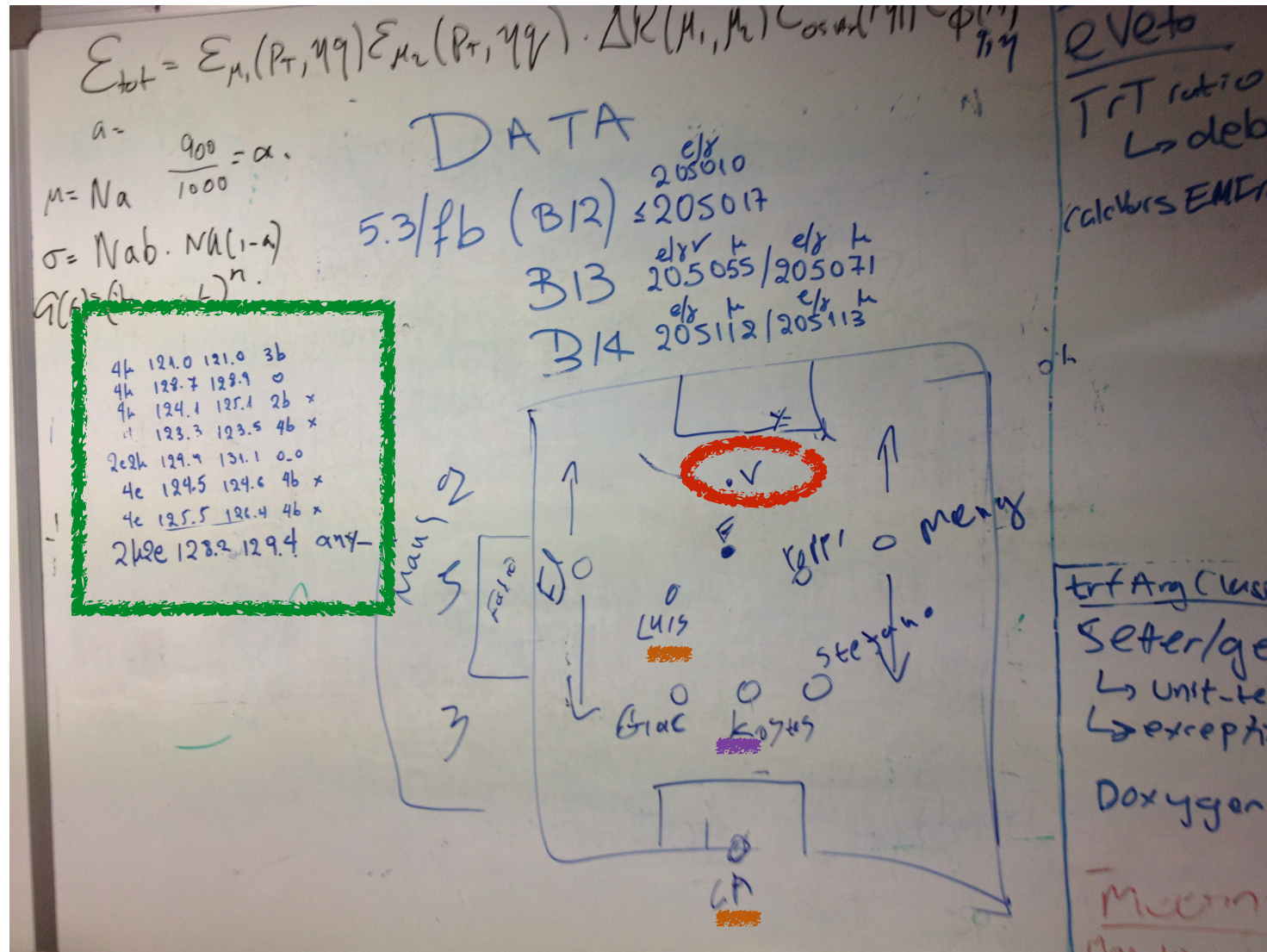
need 5% less luminosity to obtain the same significance



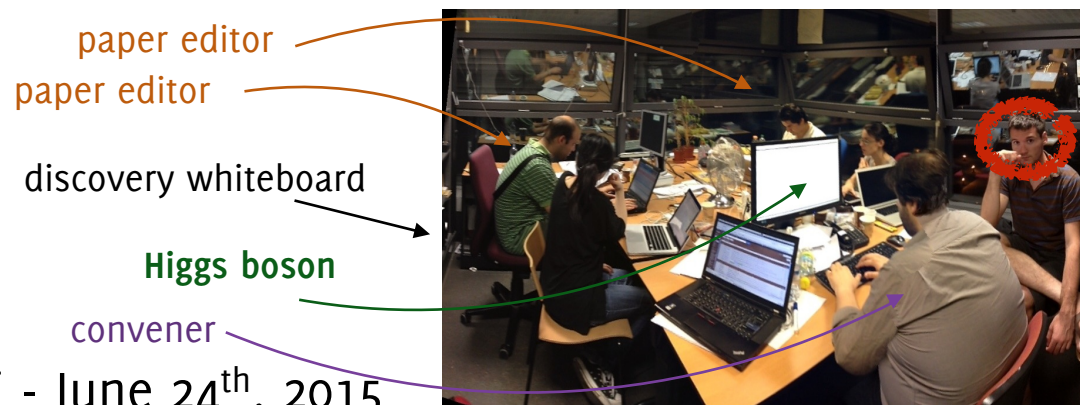
channel (125 GeV)	σ [GeV]	σ^{constr} [GeV]
4 μ	2.00	1.64
2 μ 2e	2.38	2.15
2e2 μ	2.10	1.85
4e	2.70	2.54



Intermezzo: Building a Discovery



CERN 40/4-Co8 - Sunday June 24th, 2012 - ~2 AM

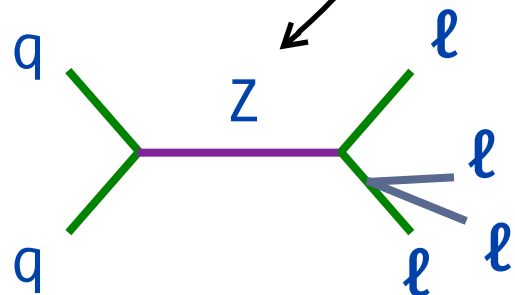
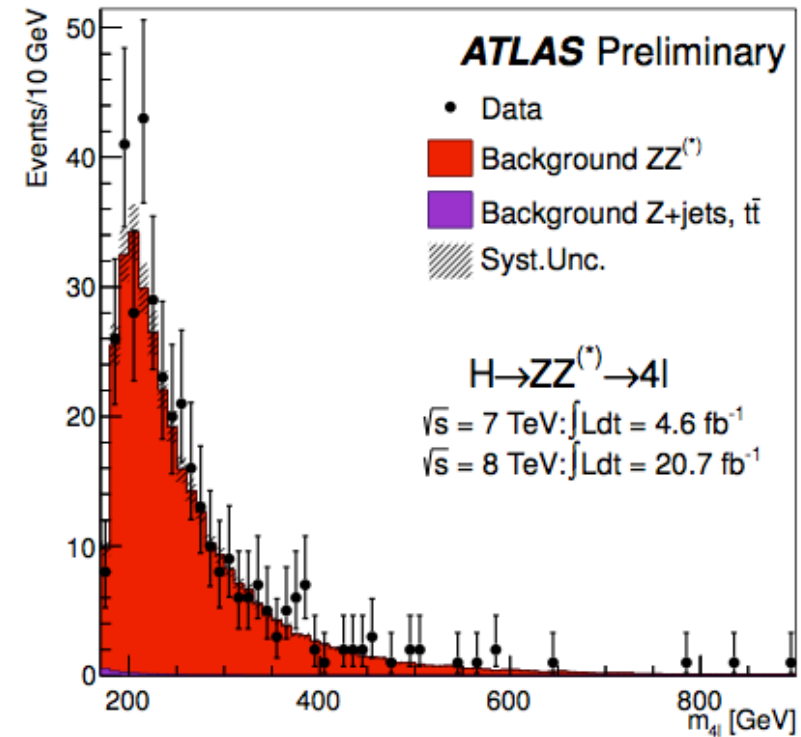
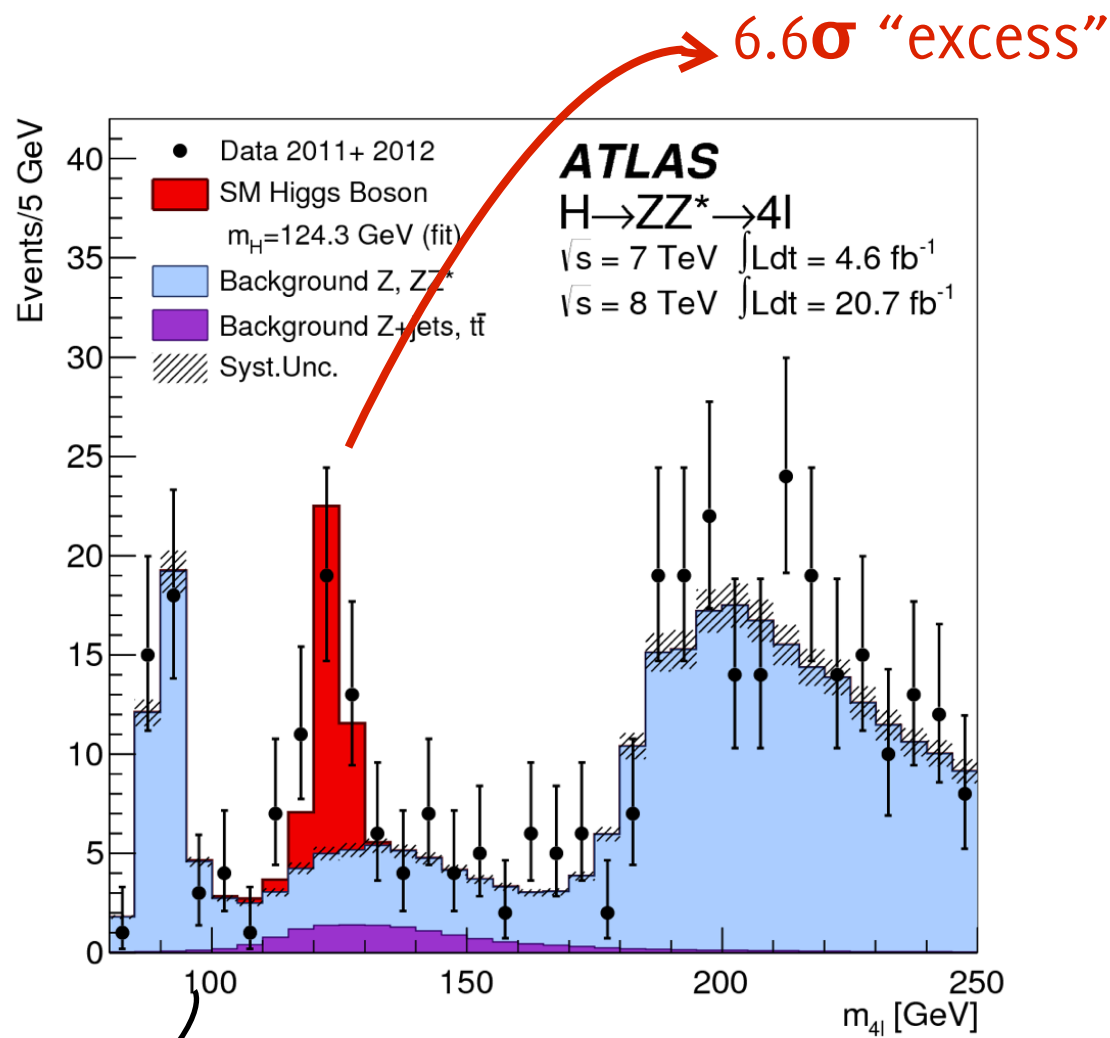


V. Ippolito - Frascati - June 24th, 2015

an exciting team work!

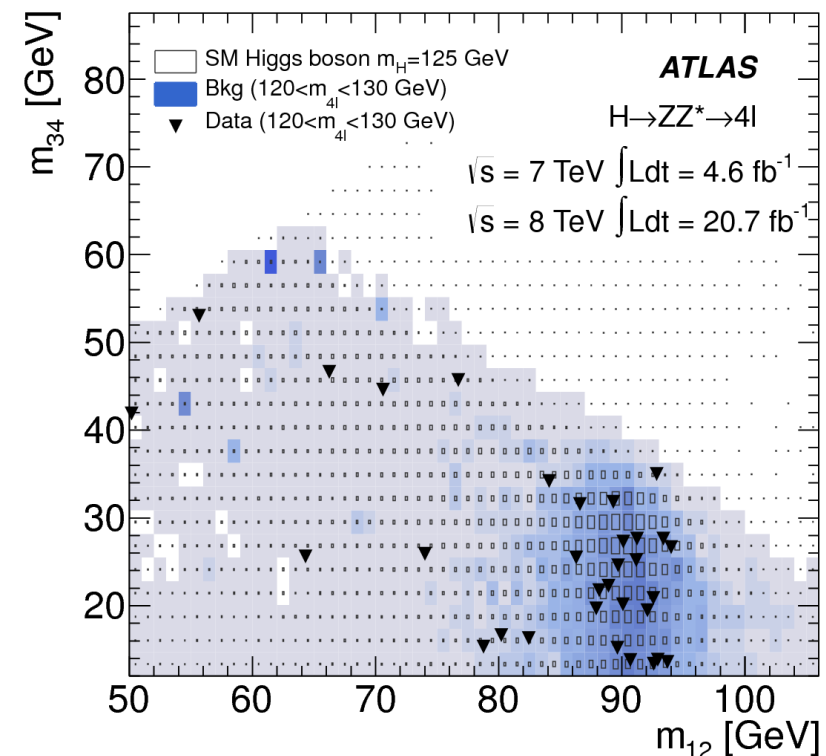
- * first hints at a 5σ discovery on June 19th, 2012 (at 1h02 AM...)
- * different layers well represented by the “discovery whiteboard” team
- * from day-to-day candidate search with increasing integrated luminosity to paper editors, group conveners, ATLAS management...

Born on the Fourth of July (2012)



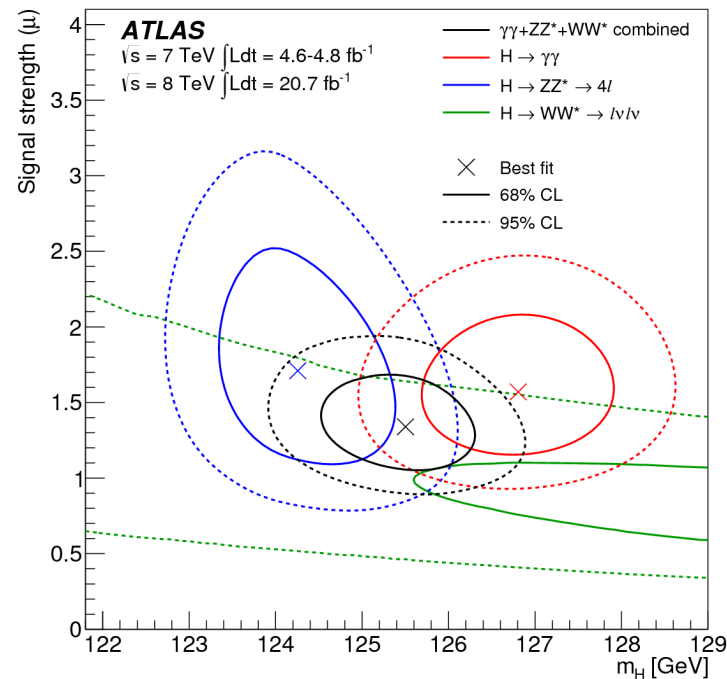
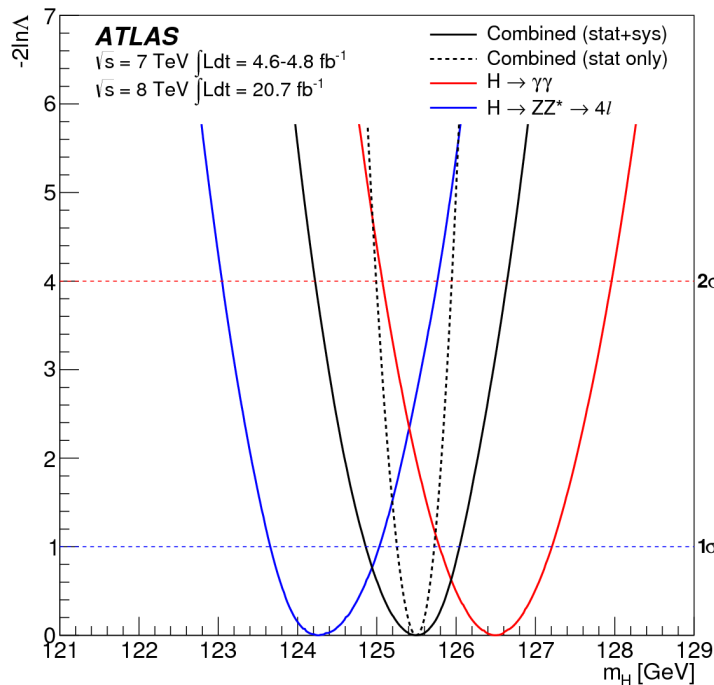
main systematics:

- * ZZ production (~5-8%)
- * electron ID/reco (~9%)
- * luminosity (~4%)
- * signal production (~8%)
- * momentum scale (<1%)



Combined results

$$\mu = \frac{\text{events observed}}{\text{events expected}}$$



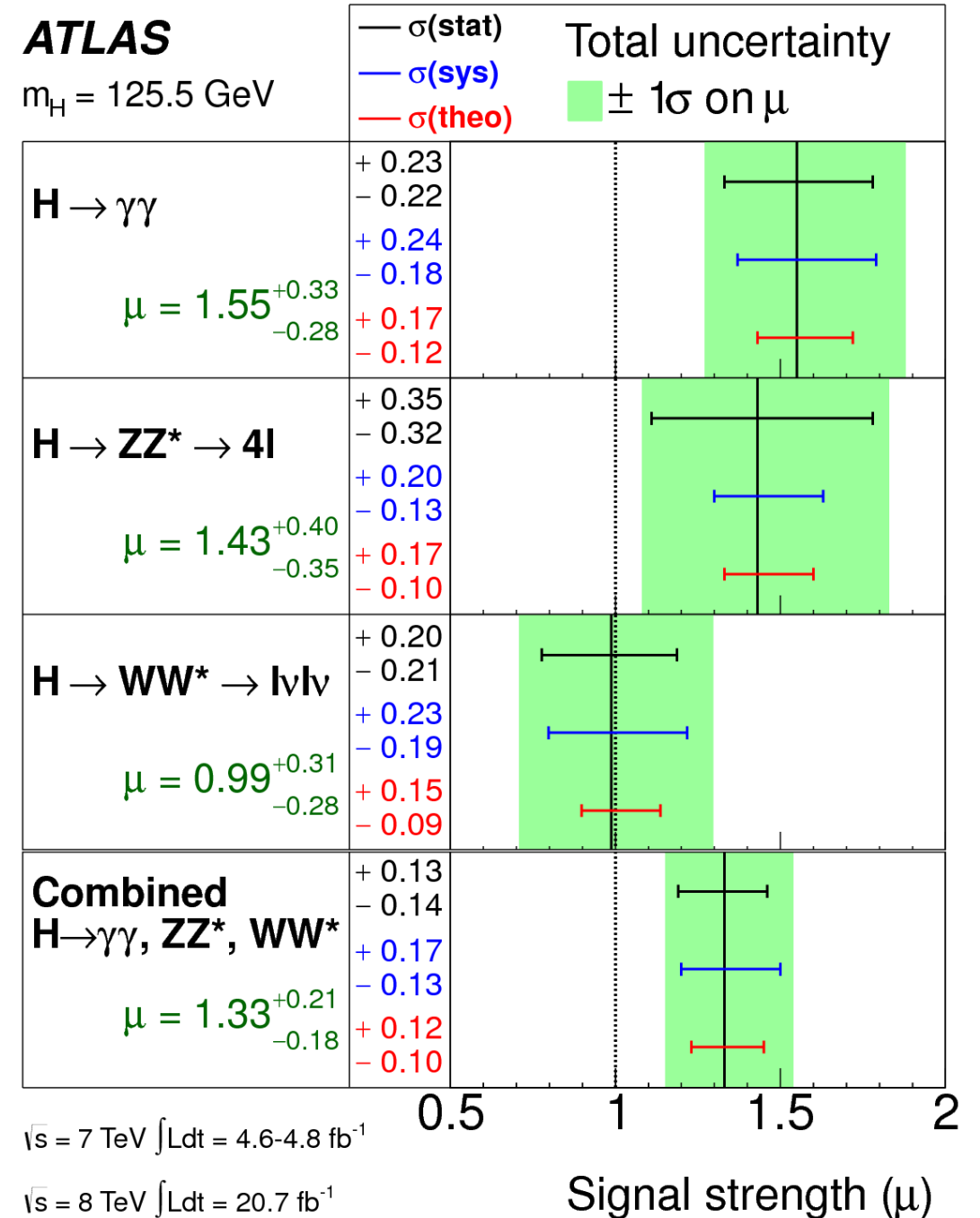
combination with other channels

$$m_H = 125.5 \pm 0.2 \text{ (stat)}^{+0.5}_{-0.6} \text{ (sys)} \text{ GeV}$$

$$\mu = 1.33 \pm 0.14 \text{ (stat)} \pm 0.15 \text{ (sys)}$$

we discovered a new particle...

=> is it the Higgs boson?



From B-physics to A-physics

(or, the importance of spin-parity studies)

Phys. Lett. B 726 (Jul, 2013) 120–144

ATLAS-CONF-2013-013

arXiv:1506.05669

Why Spin-Parity?

the SM requires H to be a parity-even scalar (0^+)

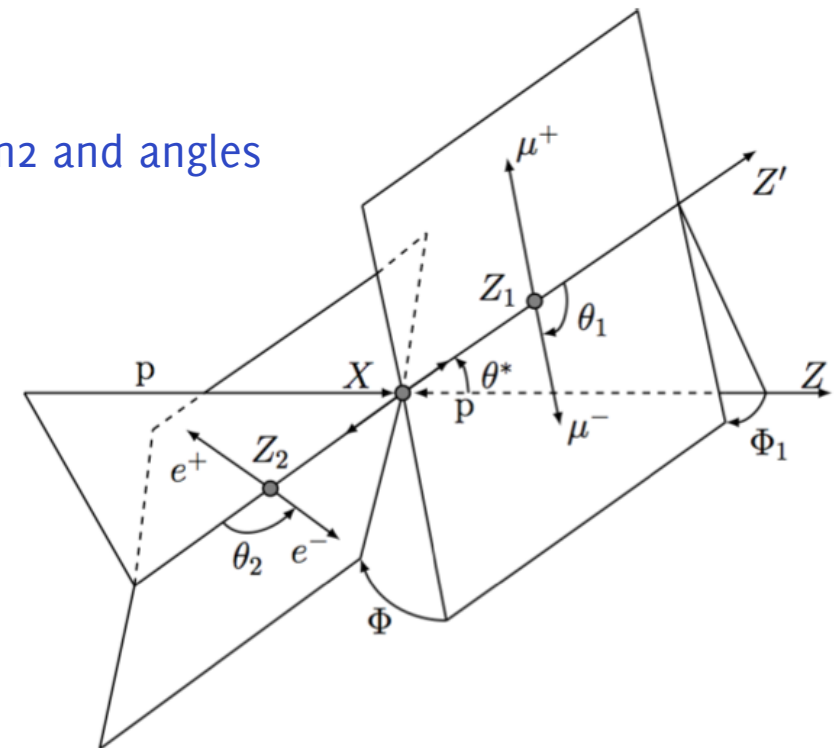
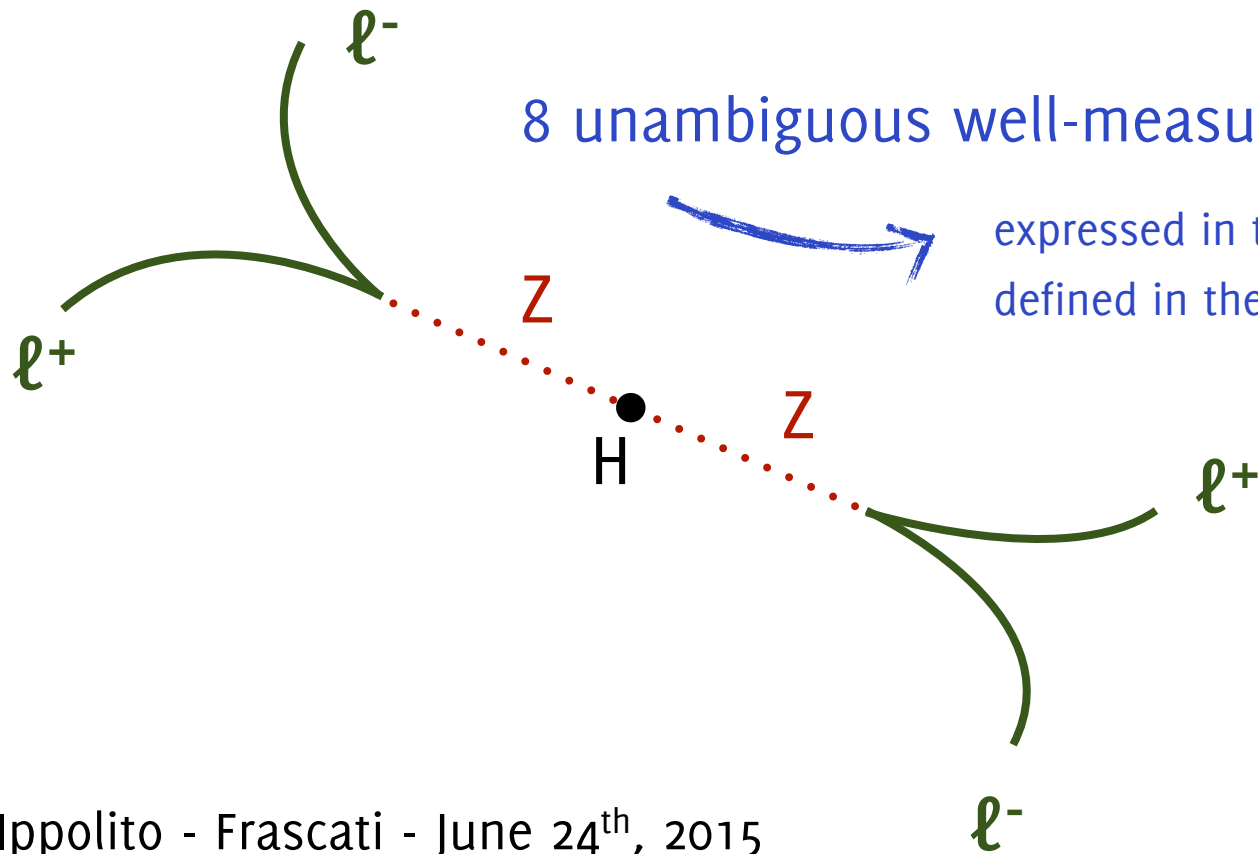
- * it could be a $J=1$ state (and $H \rightarrow \gamma\gamma$ would be a different particle)
- * it could be a graviton-like $J=2$ state, or a pseudo scalar...
- * it could be a CP-even/odd admixture

we can relate what we measure and what we want to know

$$(p_1, p_2, p_3, p_4) = f [A(H \rightarrow ZZ)]$$

8 unambiguous well-measured DOF

expressed in terms of m_{4l} , m_1 , m_2 and angles defined in the final state



Know Your ~~Onions~~ Bosons!

we write the most general Lorentz-invariant decay amplitude $A(H \rightarrow ZZ)$

e.g.: for $J=0$

$$A(X \rightarrow Z_1 Z_2) = v^{-1} \left(\underbrace{g_1 m_Z^2 \epsilon_1^* \epsilon_2^*}_{\text{SM Higgs}} + g_2 f_{\mu\nu}^{*(1)} f^{*(2),\mu\nu} + g_3 f^{*(1),\mu\nu} f_{\mu\alpha}^{*(2)} \frac{q_\nu q^\alpha}{\Lambda^2} + \underbrace{g_4 f_{\mu\nu}^{*(1)} \tilde{f}^{*(2),\mu\nu}}_{\text{pseudoscalar}} \right)$$

we relate it to the differential mass and angular distribution

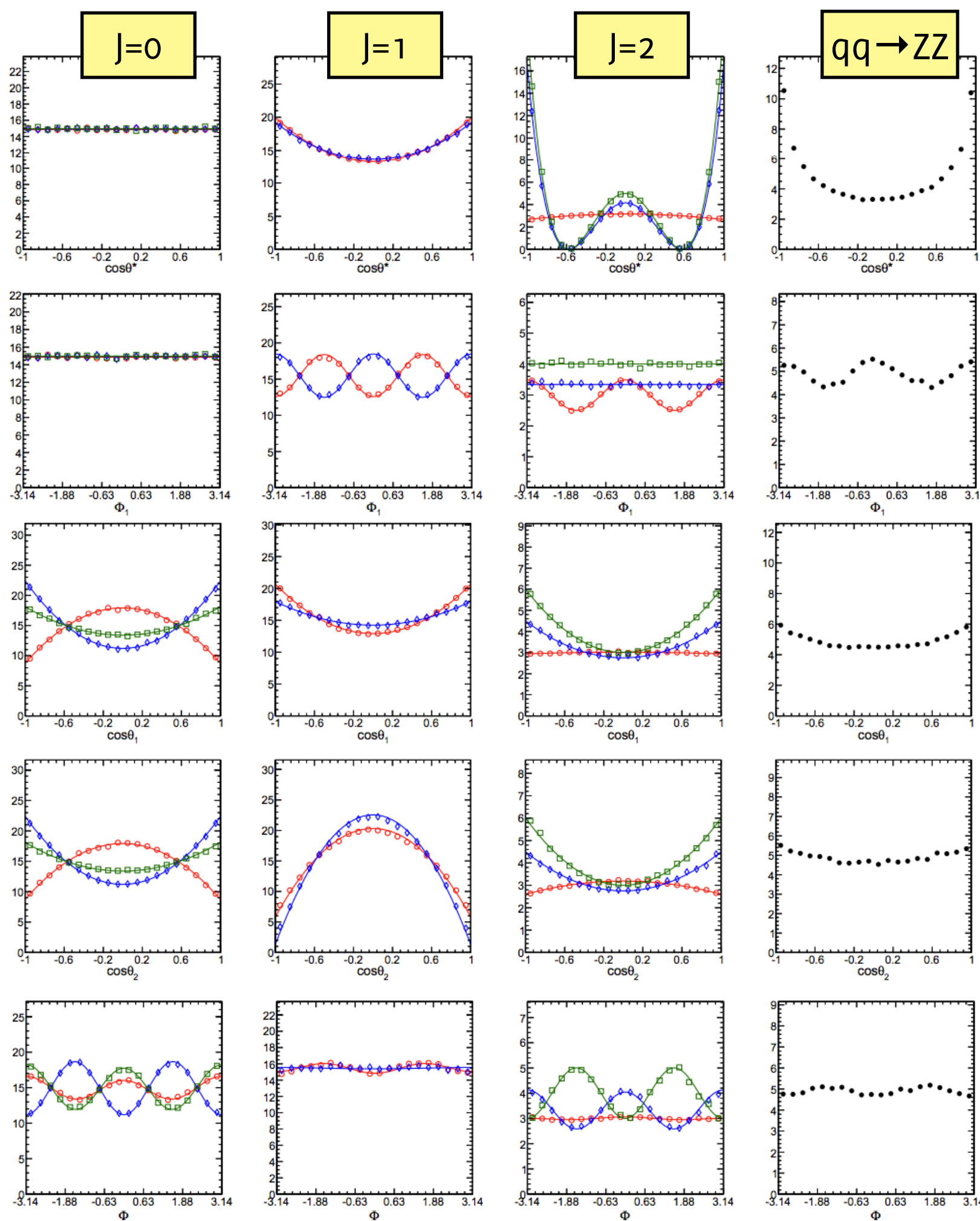
$$\frac{d\Gamma_J(m_1, m_2, \Omega)}{dm_1 dm_2 d\Omega} \propto P(m_1, m_2) \cdot \sum_i K_i(m_1, m_2) f_i(\Omega)$$

phase space + propagator

$J=0$: three helicity combinations (A_{++}, A_{--}, A_{00})
 $\Rightarrow K_i = |A_{++}|^2, \text{Re}(A_{++} A_{00}^*), \text{Im}(A_{++} A_{00}^*) \dots$ (9 terms)

$$\Omega = \{\cos \theta^*, \phi_1, \cos \theta_1, \cos \theta_2, \phi\}$$

J_m^+
 J_h^+
 J_h^-



$\cos(\theta^*)$

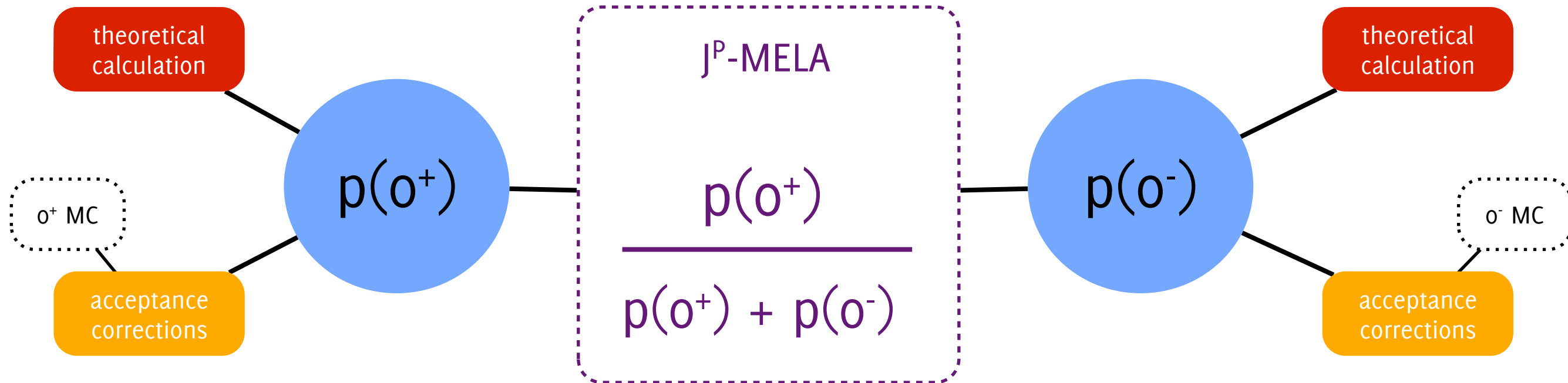
ϕ_1

$\cos(\theta_1)$

$\cos(\theta_2)$

ϕ

Hypothesis Testing



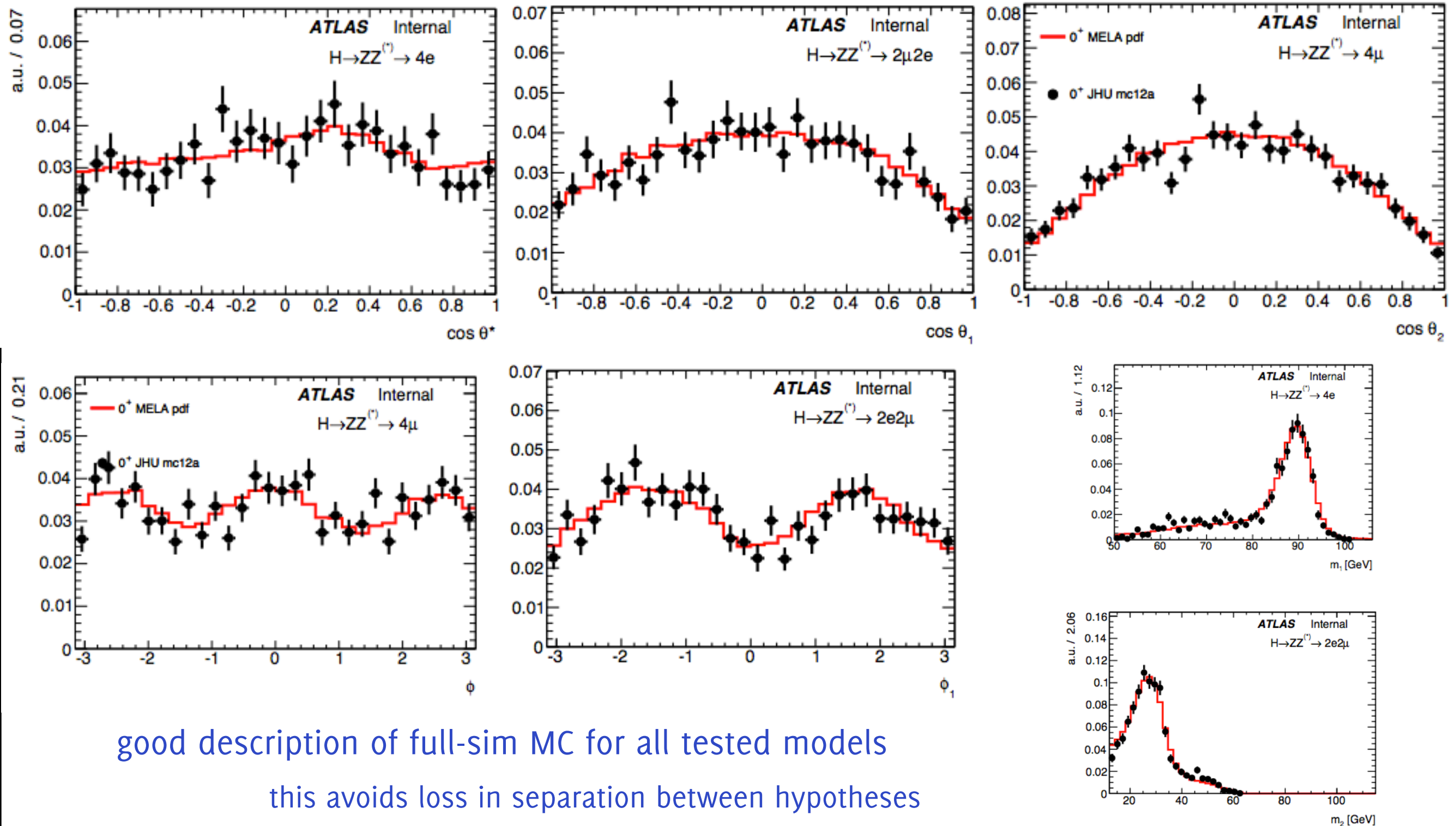
collapse the 7D information on the final state on a single observable

- it is the Bayes discriminant between data likelihood in H_0 and H_1 hypotheses
- mathematically it's the optimal discriminant in the ideal case

the difference between “real” and “ideal” is the effect of reconstruction and selection criteria

→ $p(m_1, m_2, \Omega)$ is corrected using acceptance functions

How Good ?

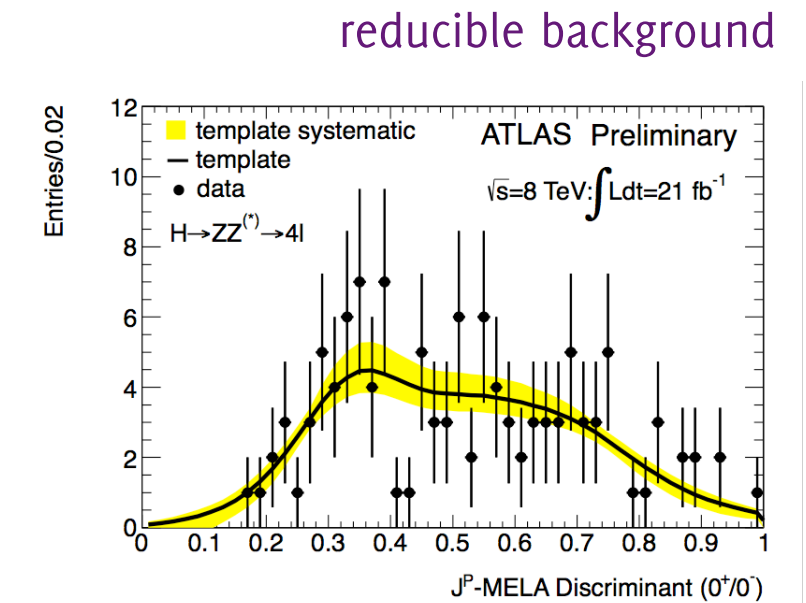
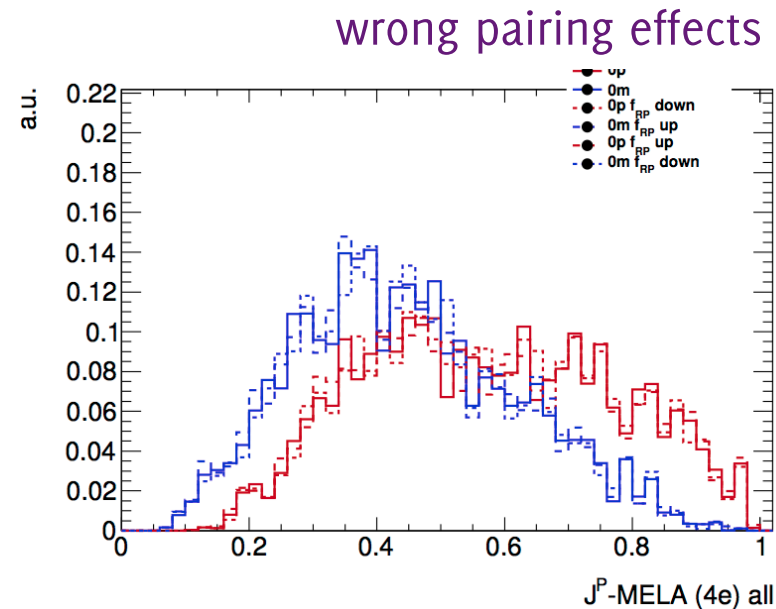
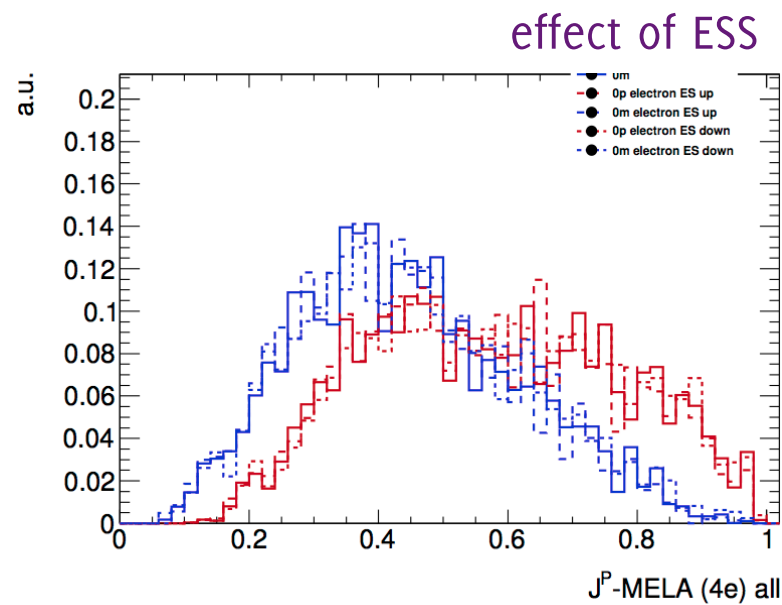


good description of full-sim MC for all tested models
 this avoids loss in separation between hypotheses

The J^P -MELA Discriminant

distributions of the discriminant D are calculated on full-sim MC

obtain discriminant shapes for the two signal hypotheses and for backgrounds



build a likelihood model in the observable D

$$L(\epsilon|\mu) = \text{Pois}(N|\mu N_s + N_b) \cdot \left\{ f_s [\epsilon \cdot p(\text{data}|H_0) + (1 - \epsilon) \cdot p(\text{data}|H_1)] + \sum_{i=ZZ,\text{red}} f_{b_i} p(\text{data}|B_i) \right\}$$

J^P -MELA discriminant

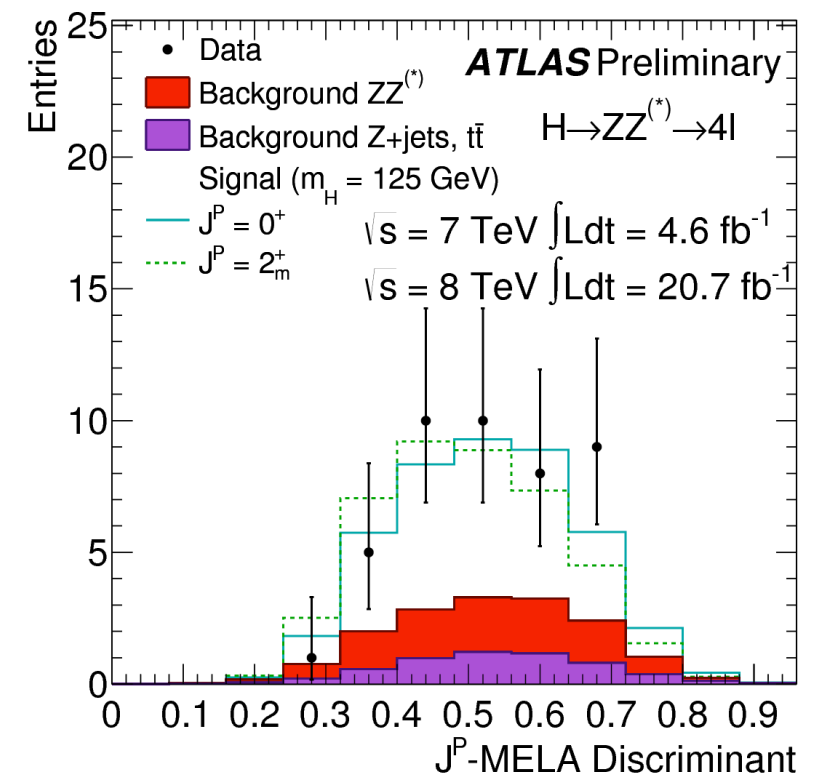
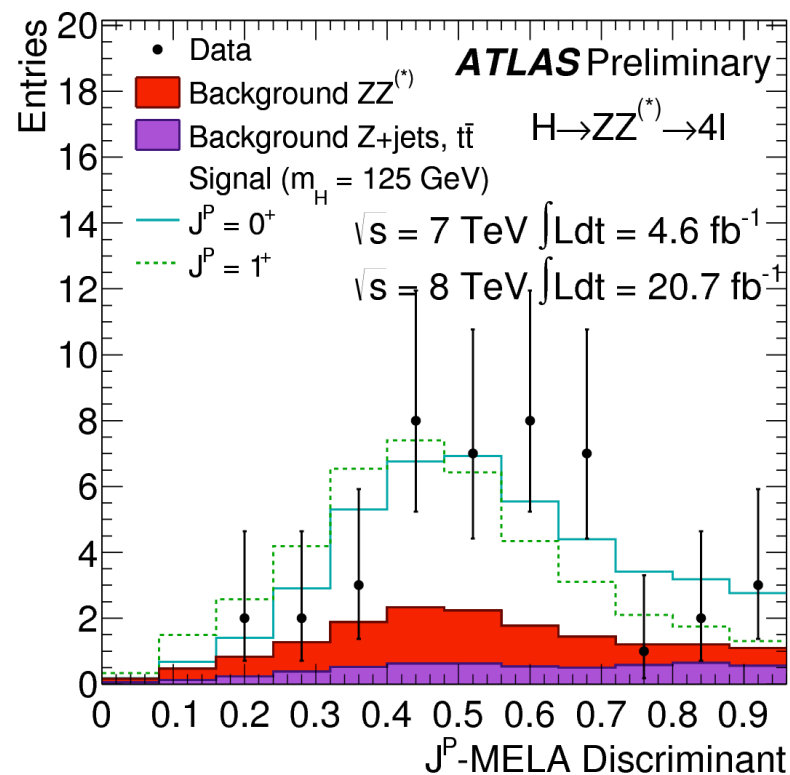
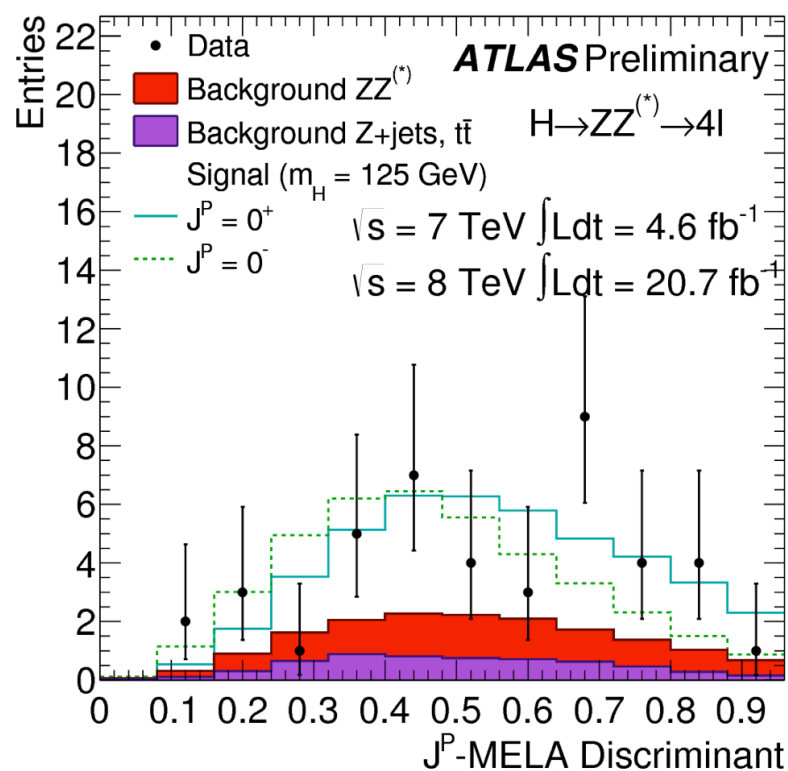
$\epsilon=0,1$

sum across two m_{4l} bins: $4 \times 2 \times 2$ channels

The J^P -MELA Discriminant

shapes of the discriminant with 7+8 TeV data

J^P -MELA = 0 for alternative hypothesis, 1 for SM Higgs



8 TeV

7 TeV

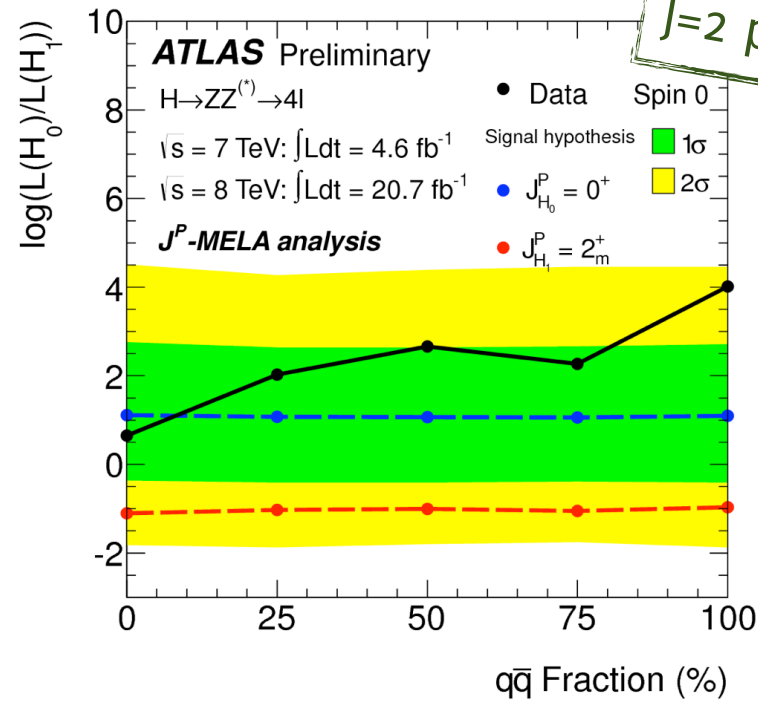
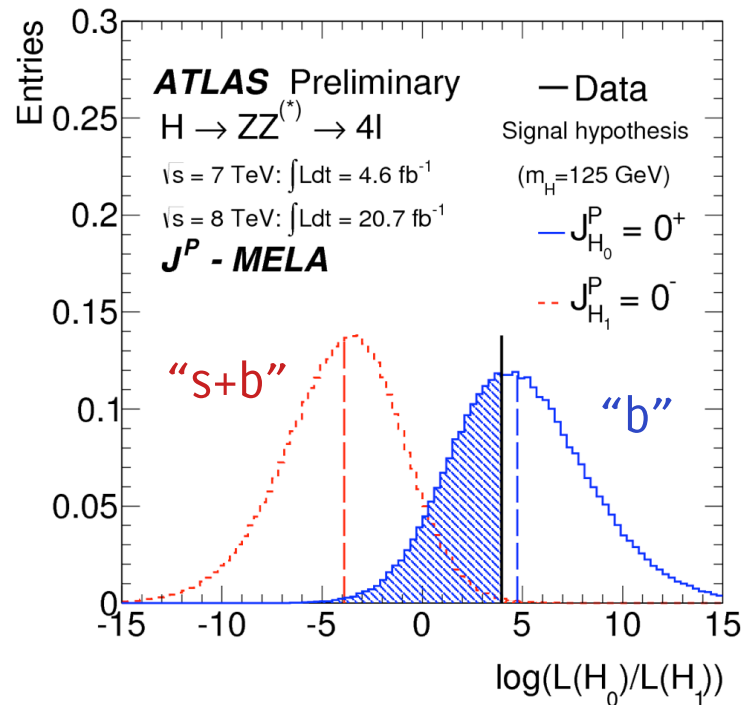
Final State and bin	Signal	ZZ	Reducible
4 μ High	4.62	1.42	0.29
4 μ Low	0.93	1.92	0.39
4e High	1.95	0.58	0.32
4e Low	0.77	0.83	0.43
2e2 μ High	3.01	1.02	0.31
2e2 μ Low	0.79	1.41	0.42
2 μ 2e High	2.22	0.68	0.44
2 μ 2e Low	0.65	0.94	0.61

Final State and bin	Signal	ZZ	Reducible
4 μ High	0.83	0.27	0.06
4 μ Low	0.17	0.40	0.09
4e High	0.24	0.09	0.07
4e Low	0.11	0.12	0.10
2e2 μ High	0.51	0.20	0.07
2e2 μ Low	0.13	0.28	0.09
2 μ 2e High	0.33	0.11	0.10
2 μ 2e Low	0.09	0.17	0.14

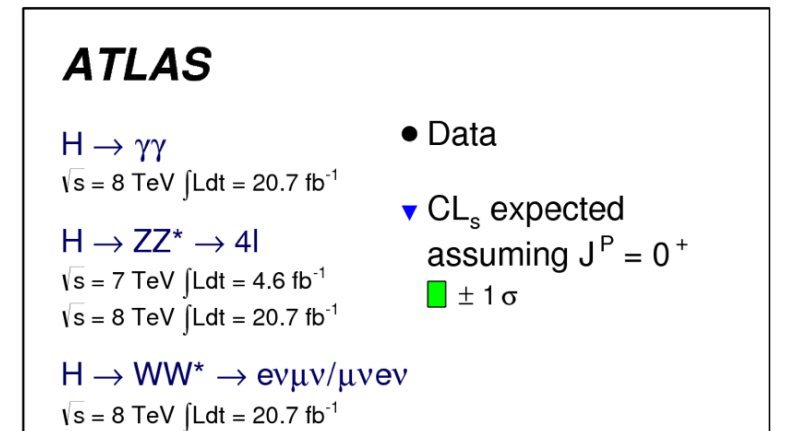
statistical analysis is split in 4 final states, 2 c.o.m. energies, 2 m μ l bins \Rightarrow enhanced H_0/H_1 separation

Hypothesis Testing Results

use distribution of $\log[L(H_0)/L(H_1)]$ sampled on pseudo-events to build a test statistics



J=2 production mechanism unknown $\Rightarrow f_{qq}$

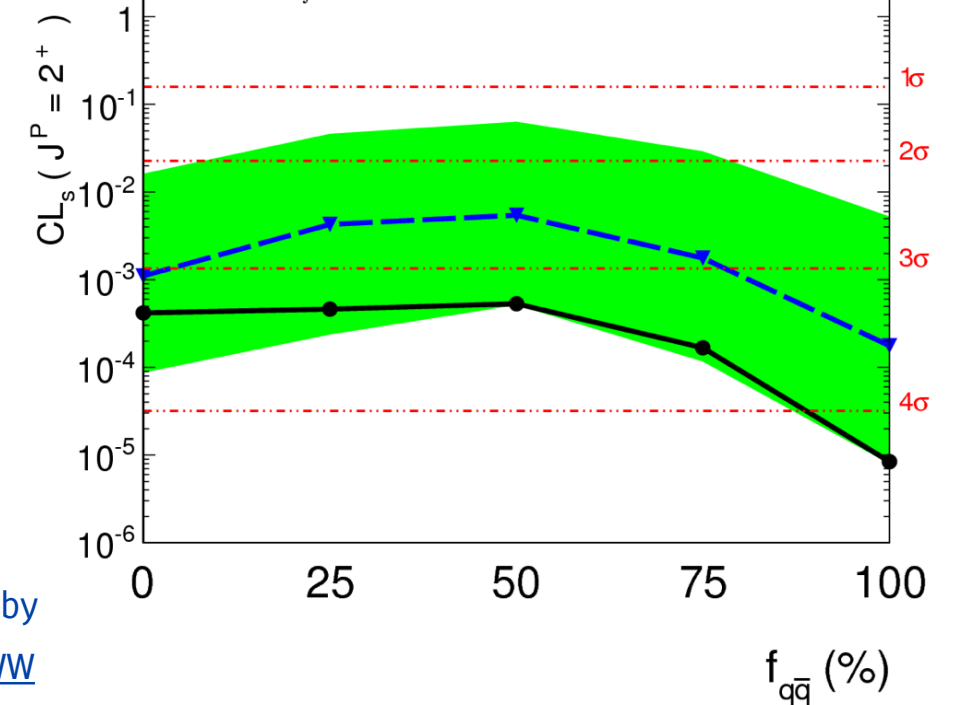


exclusion given w.r.t. 0^+ with $CL_s = CL_{s+b}/CL_b$ method

		J^P -MELA analysis			
		tested J^P for an assumed 0^+		tested 0^+ for an assumed J^P	CL_s
		expected	observed	observed*	
0^-	p_0	0.0011	0.0022	0.40	0.004
1^+	p_0	0.0031	0.0028	0.51	0.006
1^-	p_0	0.0010	0.027	0.11	0.031
2_m^+	p_0	0.064	0.11	0.38	0.182
2^-	p_0	0.0032	0.11	0.08	0.116

>95%

excluded by $4\ell + \gamma\gamma + WW$



only sensitive to 0^+ vs $1^{+/-}$ (ww), 2^+

Probing the HZZ vertex

Can We Say More?

— yes, if we assume $J=0$

let's take again the most general $H \rightarrow ZZ$ decay amplitude

$$A(X \rightarrow Z_1 Z_2) = v^{-1} \left(\boxed{g_1 m_Z^2 \epsilon_1^* \epsilon_2^* + g_2 f_{\mu\nu}^{*(1)} f^{*(2),\mu\nu}} + g_3 f^{*(1),\mu\nu} f_{\mu\alpha}^{*(2)} \frac{q_\nu q^\alpha}{\Lambda^2} + \boxed{g_4 f_{\mu\nu}^{*(1)} \tilde{f}^{*(2),\mu\nu}} \right)$$

in the SM:



$2i$



$0(10^{-2})$
(one loop diagrams)

(suppressed by scale² of NP)



≈ 0
(three loops diagrams)

non-zero g_2, g_4 affect final state distributions

- * CP even/odd admixture present if g_4 and g_1 are both non-zero
can hint to CP violation (e.g. mixing between multiple Higgs particles à la 2HDM) which might explain matter/antimatter asymmetry
(excluded) pure pseudoscalar state corresponds to the limit $|g_4/g_1| \rightarrow \infty$
- * new physics could contribute in loops giving $g_2 \neq 0$

The Idea

Q: How good will we be able to probe the HZZ vertex in the next future?

→ sensitivity to CP-even/odd admixtures

$$f_{g_i} = \frac{|g_i|^2 \sigma_i}{|g_1|^2 \sigma_1 + |g_2|^2 \sigma_2 + |g_4|^2 \sigma_4}; \quad \phi_{g_i} = \arg\left(\frac{g_i}{g_1}\right)$$

$$f_{CP} = \frac{|A_{\perp}|^2}{|A_0|^2 + |A_{\parallel}|^2 + |A_{\perp}|^2} \sim f_{g_4}$$

start from the parton-level description of the 7D final state

- * add acceptance corrections (2D for m_1 vs m_2 , 1D for angular observables)
- * add m_{4l} to obtain discrimination power against backgrounds

parametrise backgrounds

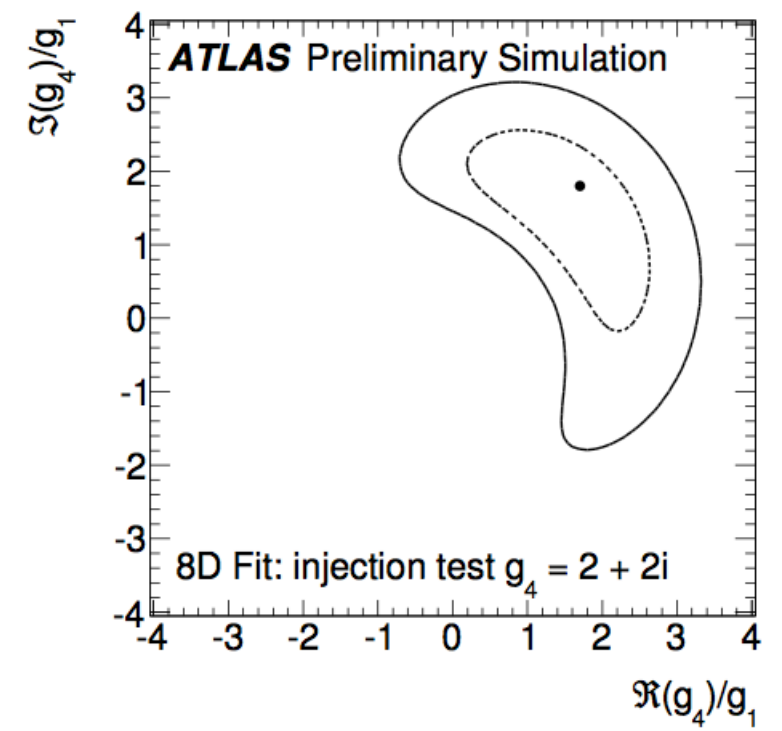
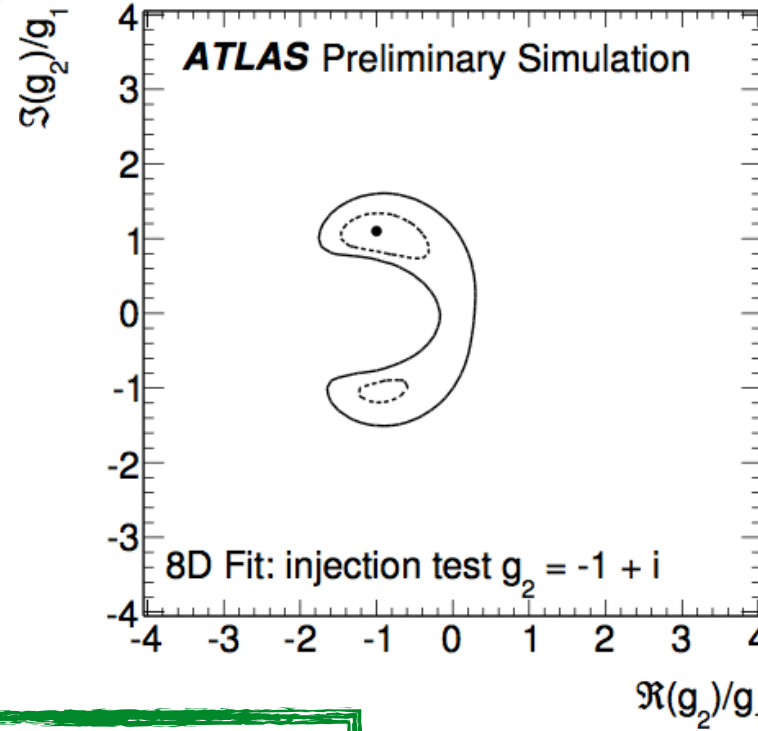
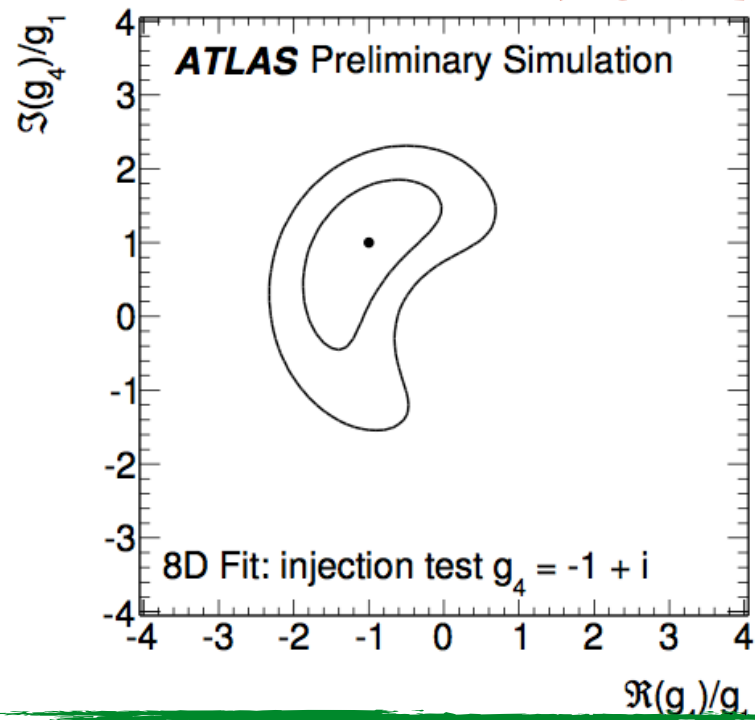
- * use full-simulation Monte Carlo
- * empirical parametrisation (2D for m_1 vs m_2 , 1D for angular observables)

perform 8D fit for imaginary and complex parts of either g_4 or g_2

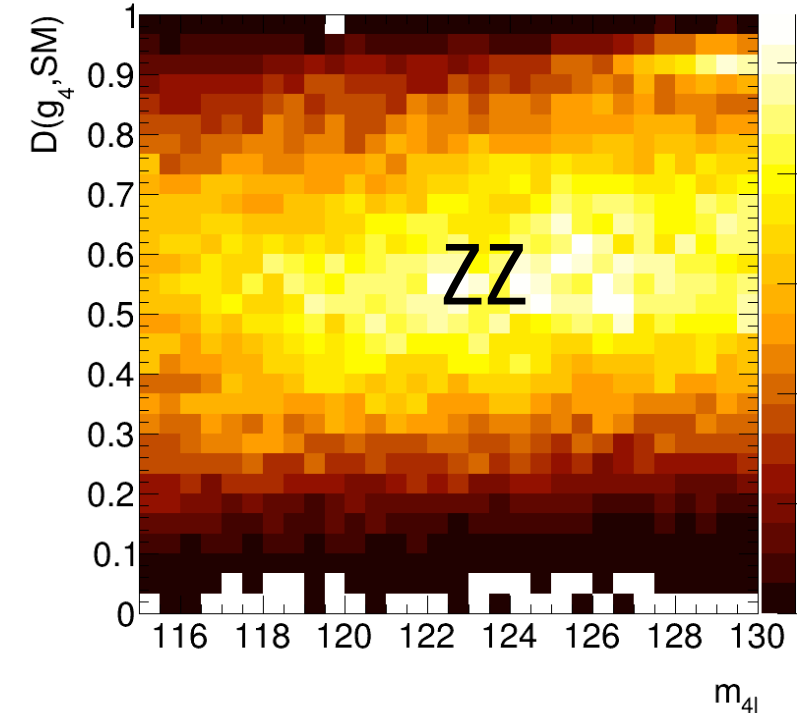
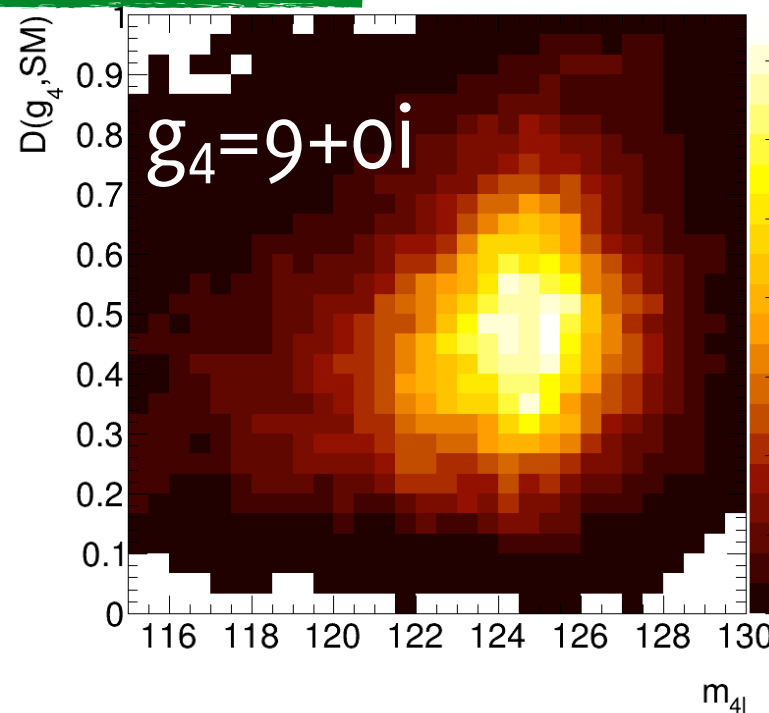
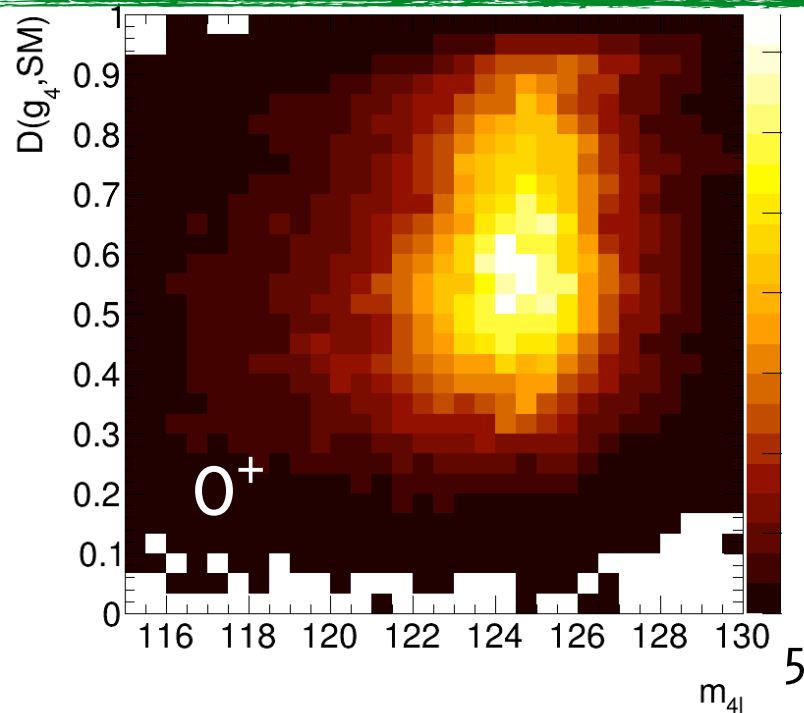
→ cross-check validity of empirical parametrisations
with 2D MELA-like discriminant method

How it looks like

closure test of 8D fitting technique (injection)



discriminant shapes for 2D cross-check method



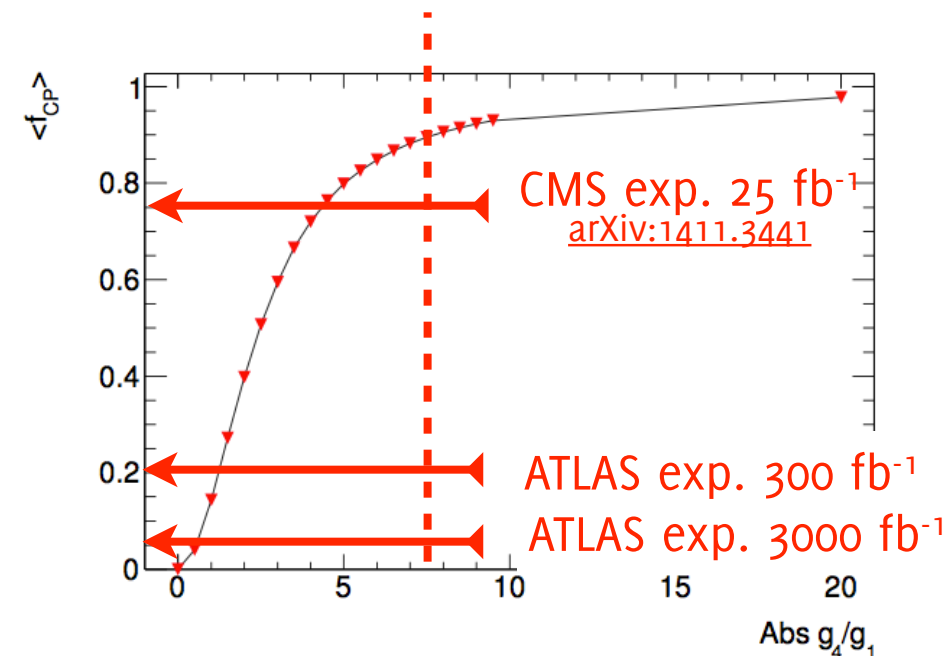
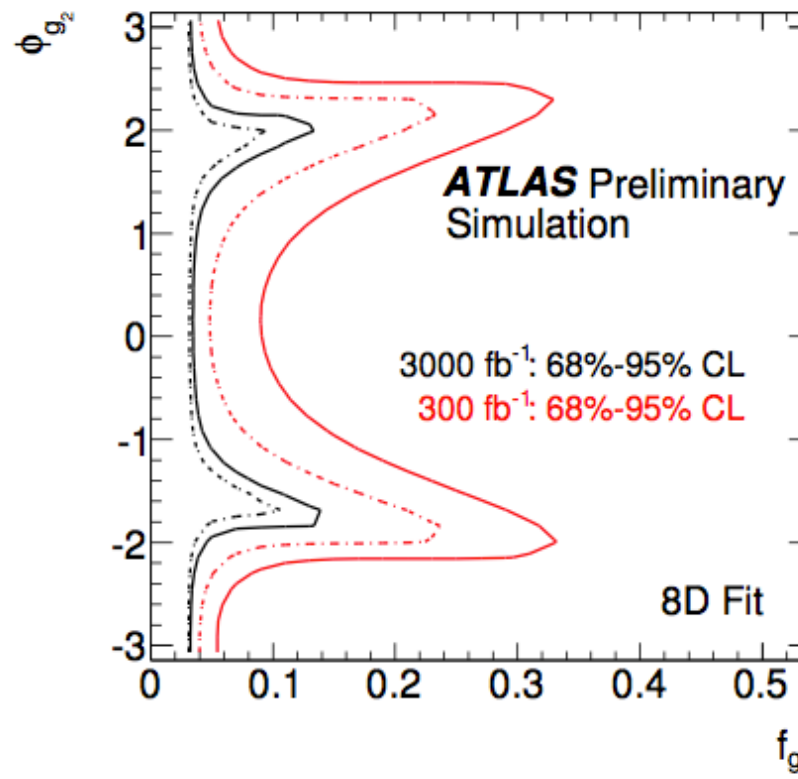
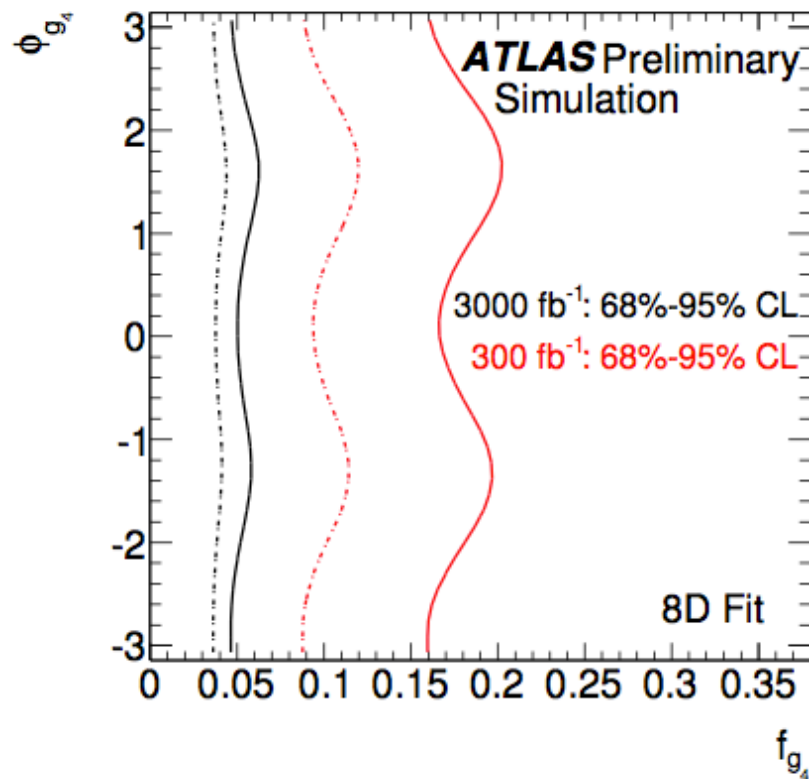
Prospects @HL-LHC

High Luminosity upgrade of the LHC foreseen in the next future (> 2020)

* studied sensitivity on HZZ vertex structure with 300 and 3000 fb⁻¹ at 14 TeV

Final State	Signal	ZZ*	Reducible Backgrounds
4μ	1186	427	214
2μ2e	867	287	144
2e2μ	1035	383	191
4e	871	317	158

* systematics: 3% (lumi) + 5% (lepton reco) + 7-10% (bkg, acc)



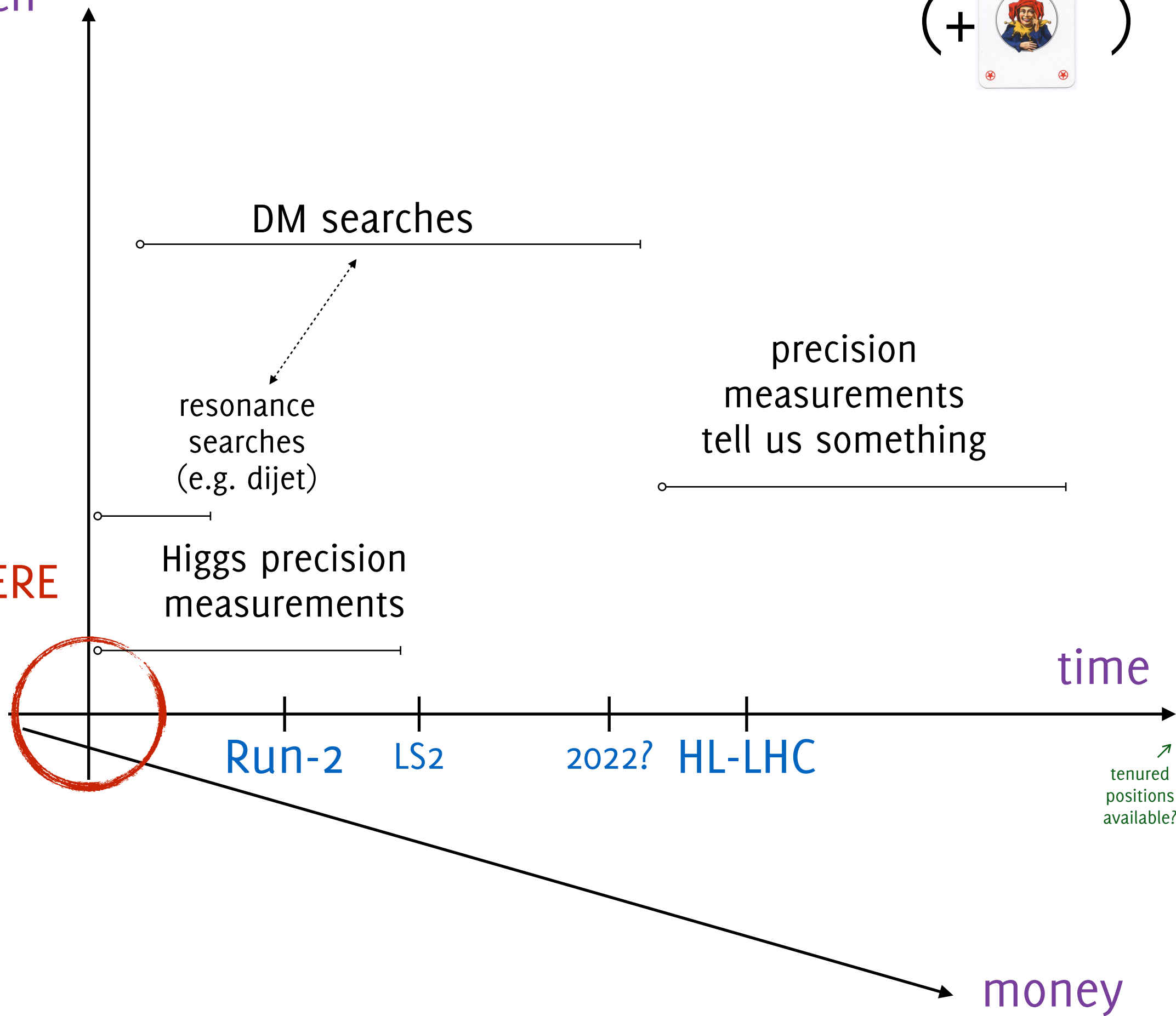
Luminosity (fb ⁻¹)	f_{g_4}	f_{g_2}
300	0.20	0.29
3000	0.06	0.12

Beyond



— Qu'est-ce qu'on fait en attendant Godet ?
— Une excellente pièce...

physics reach
(biased view)



WE ARE HERE

DM searches

resonance searches
(e.g. dijet)

Higgs precision measurements

precision measurements tell us something

Run-2

LS2

2022?

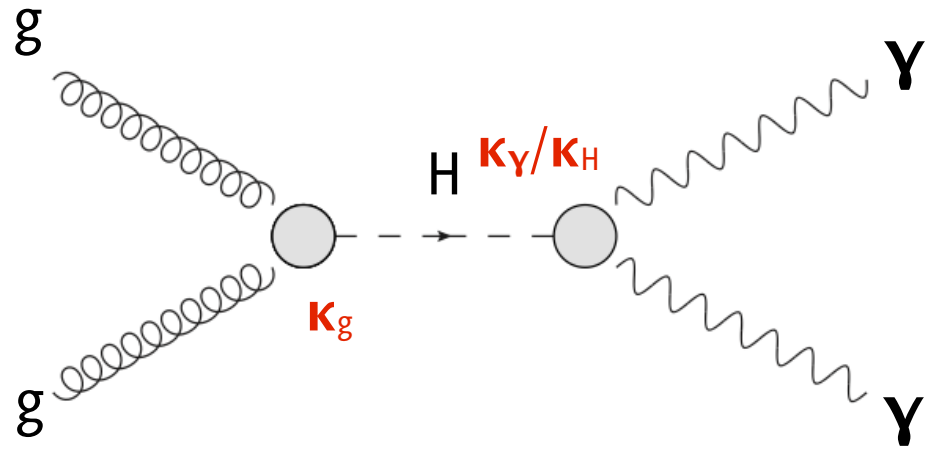
HL-LHC

time

money

tenured positions available?

LHC as a Higgs Factory

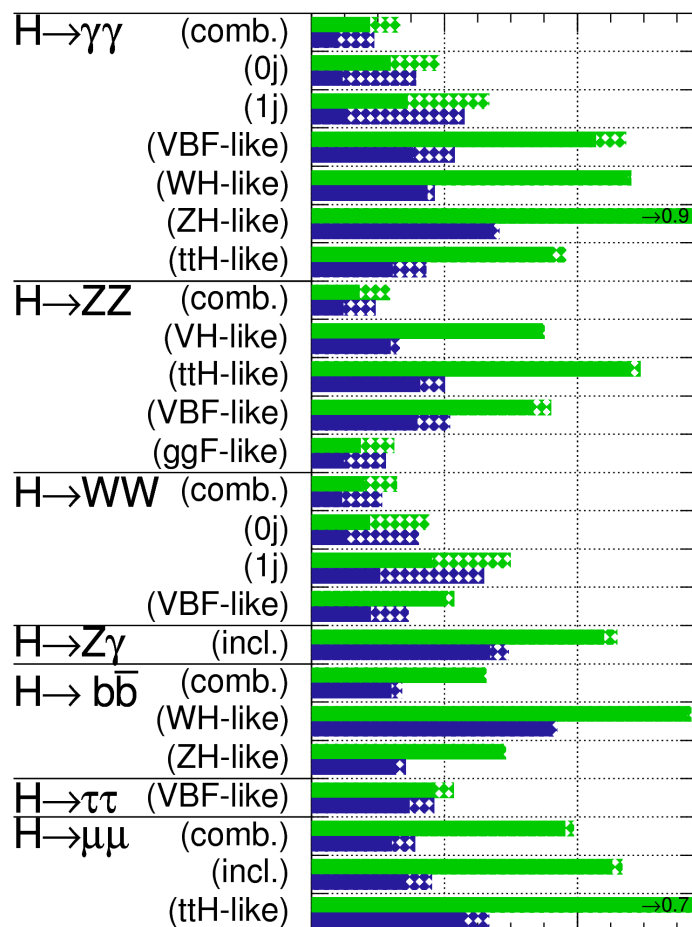


precision measurement of coupling scale factors

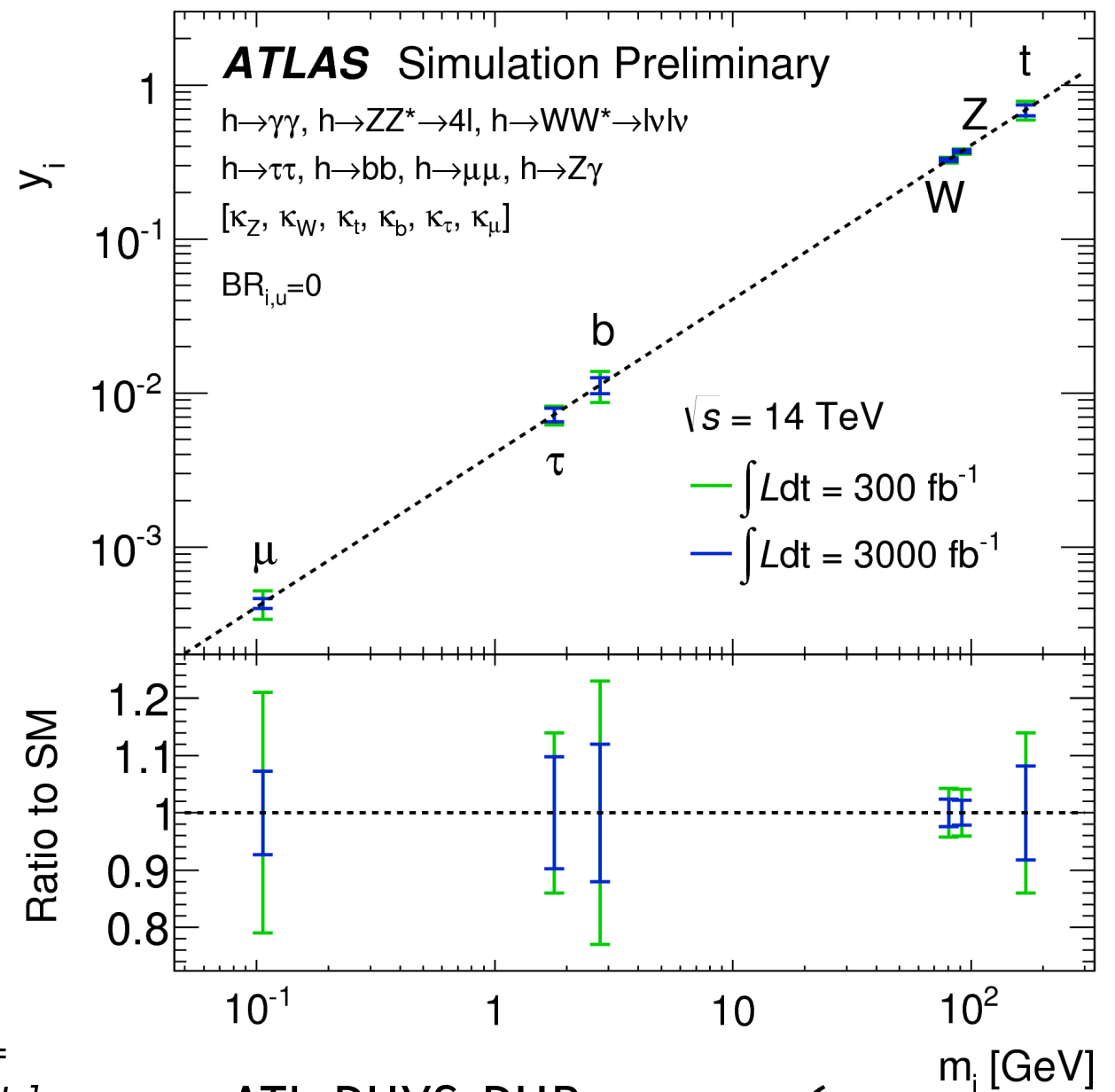
- * test for NP in loops, wider H sector, custodial symmetry...
- * typically need 0(1-5%) precision to test sensible SM extensions

ATLAS Simulation Preliminary

$\sqrt{s} = 14 \text{ TeV}$: $\int L dt = 300 \text{ fb}^{-1}$; $\int L dt = 3000 \text{ fb}^{-1}$



$\Delta\mu/\mu$ [hashed bands = theoreticians' fault]



ATL-PHYS-PUB-2014-016

Going Forward (in η)

- ▶ extending tracking capabilities in forward region for HL-LHC

- ❖ improved pileup rejection, VBF sensitivity, MET resolution...

- ▶ silicon tracker (ITK) extension up to 4.0 (depends on funding)

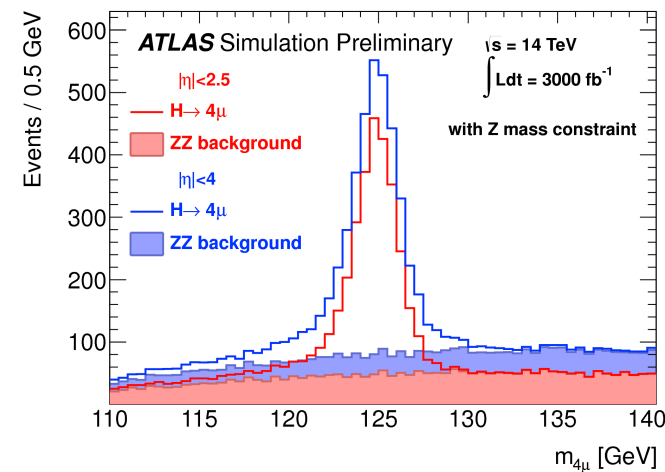
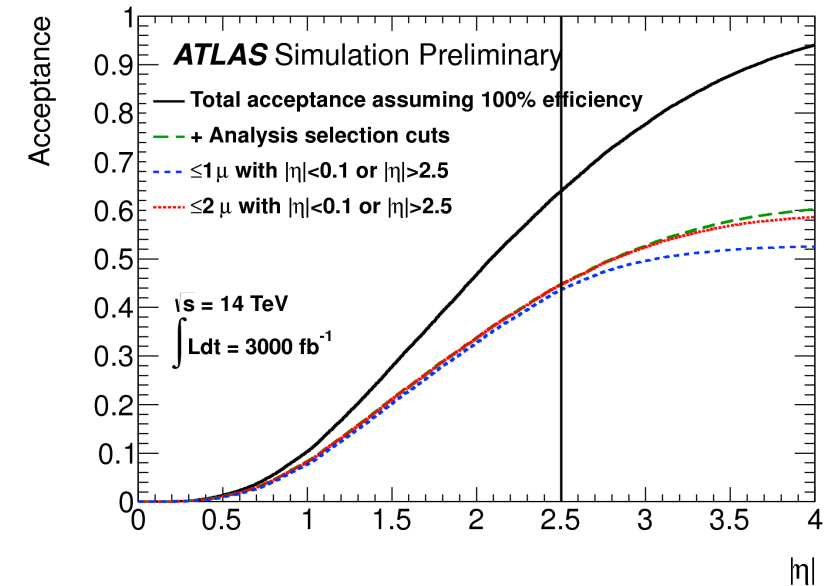
- ▶ foresee 20/30% gain in HZZ acceptance

- ❖ aim at significant $s/\sqrt{s+b}$ improvement in bbH

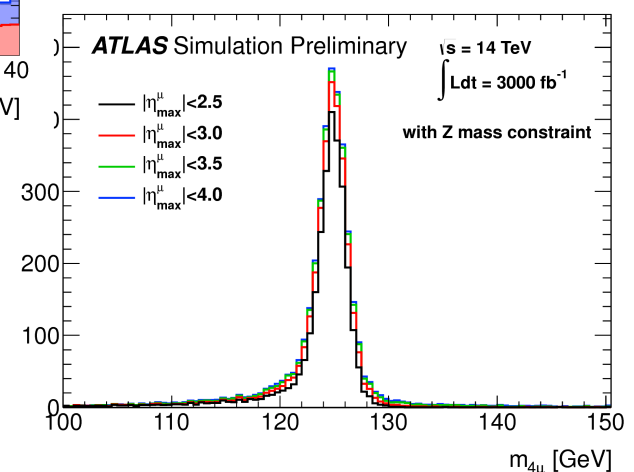
- ❖ 10-20% better precision on couplings

- ▶ <http://atlas.web.cern.ch/Atlas/GROUPS/PHYSICS/UPGRADE/PLOT-UPGRADE-2014-002/>

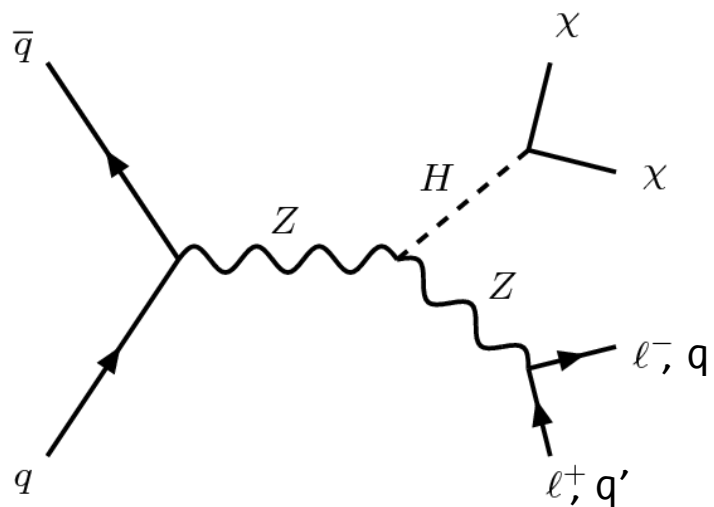
acceptance gain in $H \rightarrow ZZ^* \rightarrow 4l$



H_{4l} mass (after Z mass constraint)



Seeing Through The Invisible



- ▶ invisible Higgs decays are precious for looking for new physics

- ❖ many models predict H as “interface” between SM and a dark sector

- ▶ BR_H can be probed with direct or indirect searches

- ❖ VBF H→inv: $BR < 0.29 @ 95\% CL$

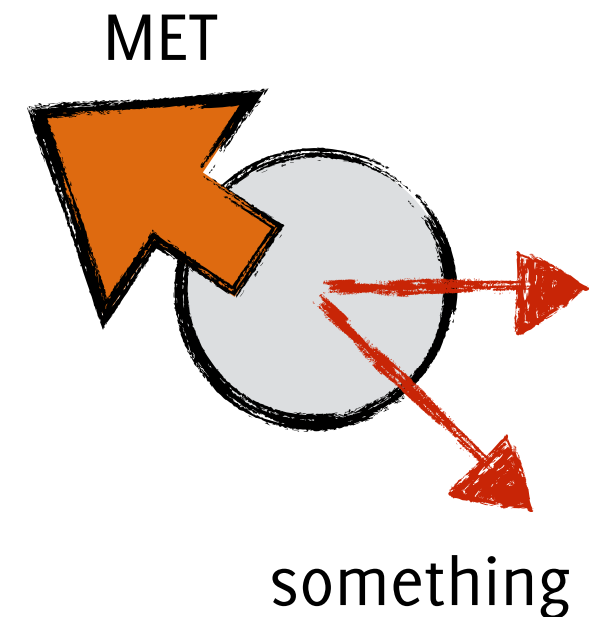
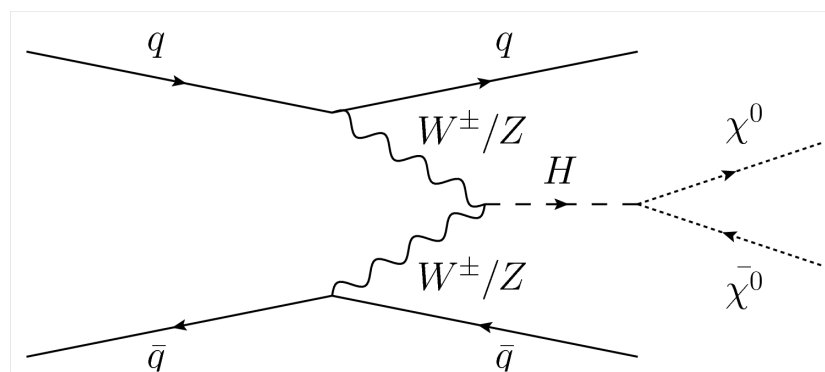
- ❖ Z(ll)H→inv: $BR < 0.75 @ 95\% CL$

- ❖ W/Z(qq)H→inv: $BR < 0.78 @ 95\% CL$

- ❖ couplings: $BR < 0.27 @ 95\% CL$

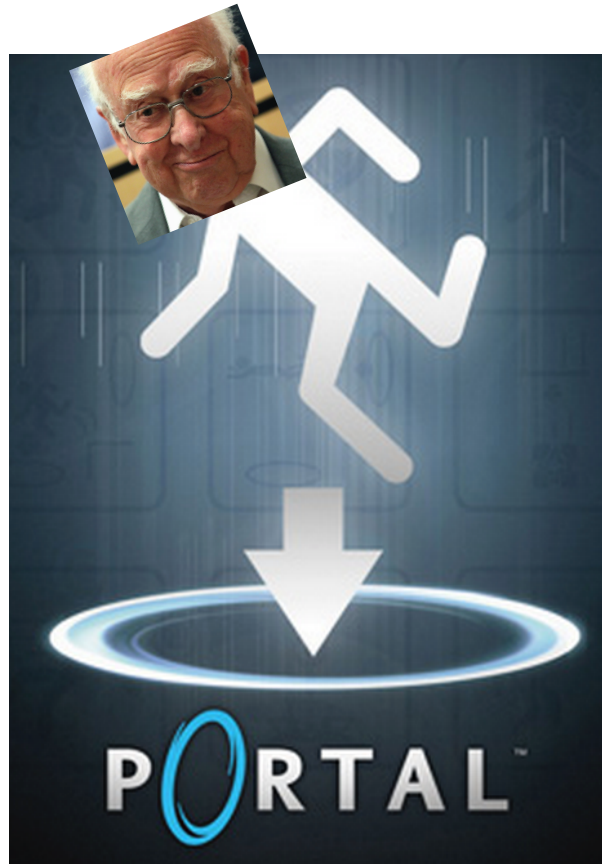
- ▶ most sensitive to Dark Matter!

- ❖ coupling either directly to H or via scalar mediators/mixing/MSSM-like scenarios...

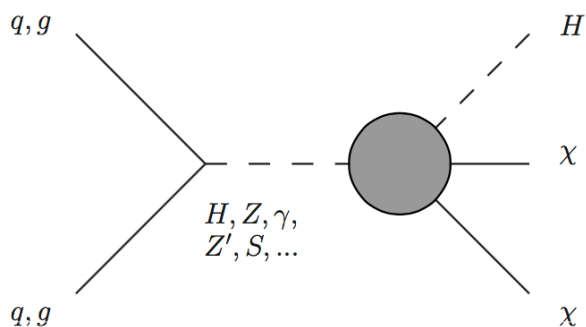


ATLAS-CONF-2015-004
 ATLAS-CONF-2015-007
 arXiv:1402.3244

A Dark Matter Factory?



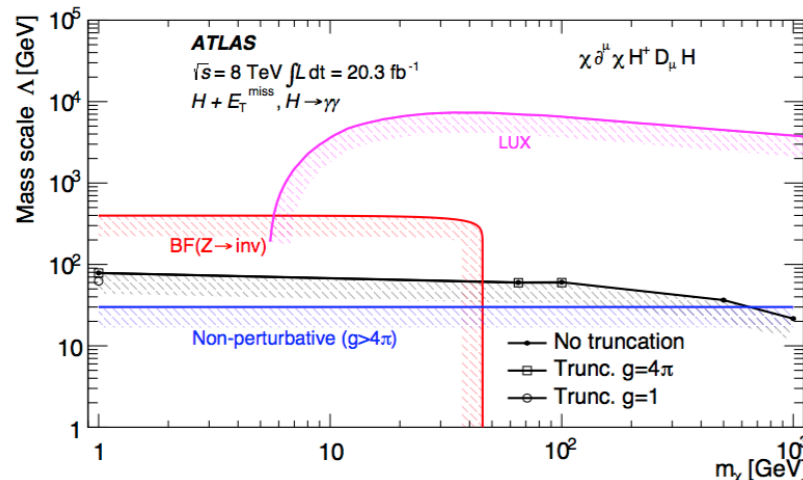
- ▶ “Higgs portal” models: unique sensitivity at LHC to low-mass DM
 - ❖ for each value of $m_{\text{DM}} < m_H/2$, BR_H is connected to DM/nucleon scattering cross-section measured by direct detection experiments
- ▶ EFT approach allows to look for massive DM probing coupling to Higgs boson
 - ❖ complementary to (more general) mono-X searches, e.g. via e.g. $H(-\rightarrow\gamma\gamma)+\text{MET}$



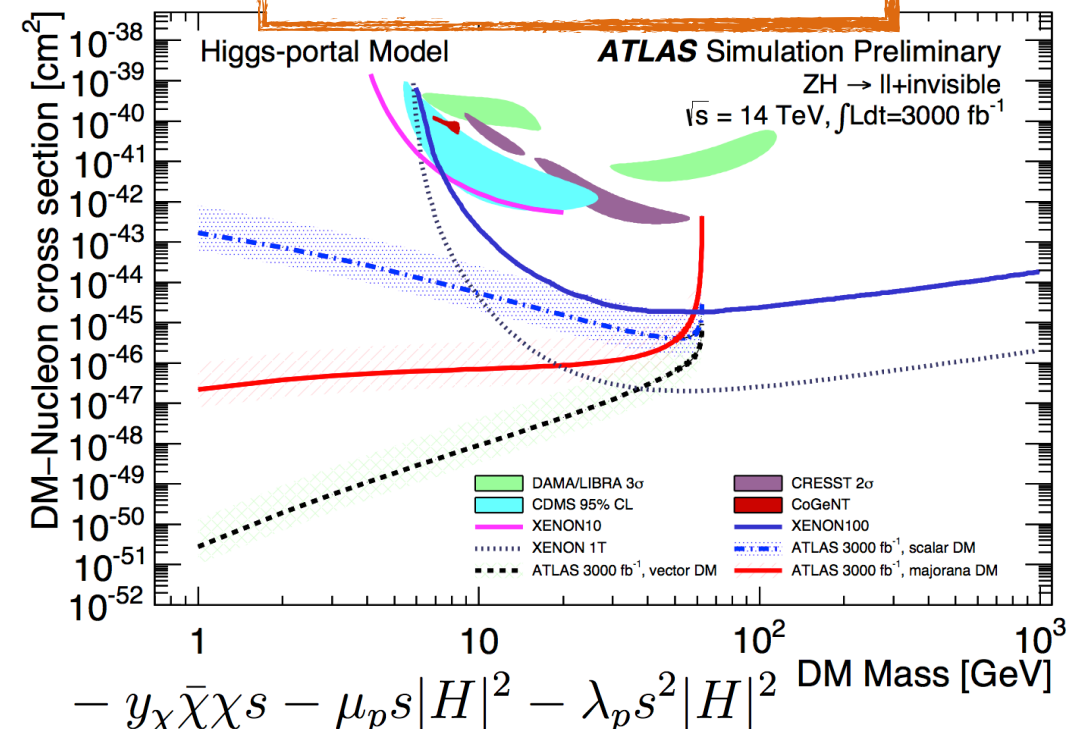
1506.01081v1

V. Ippolito - Frascati - June 24, 2015

from $H\chi\chi$ contact interaction



from BR_H (via $ZH \rightarrow \text{inv}$)

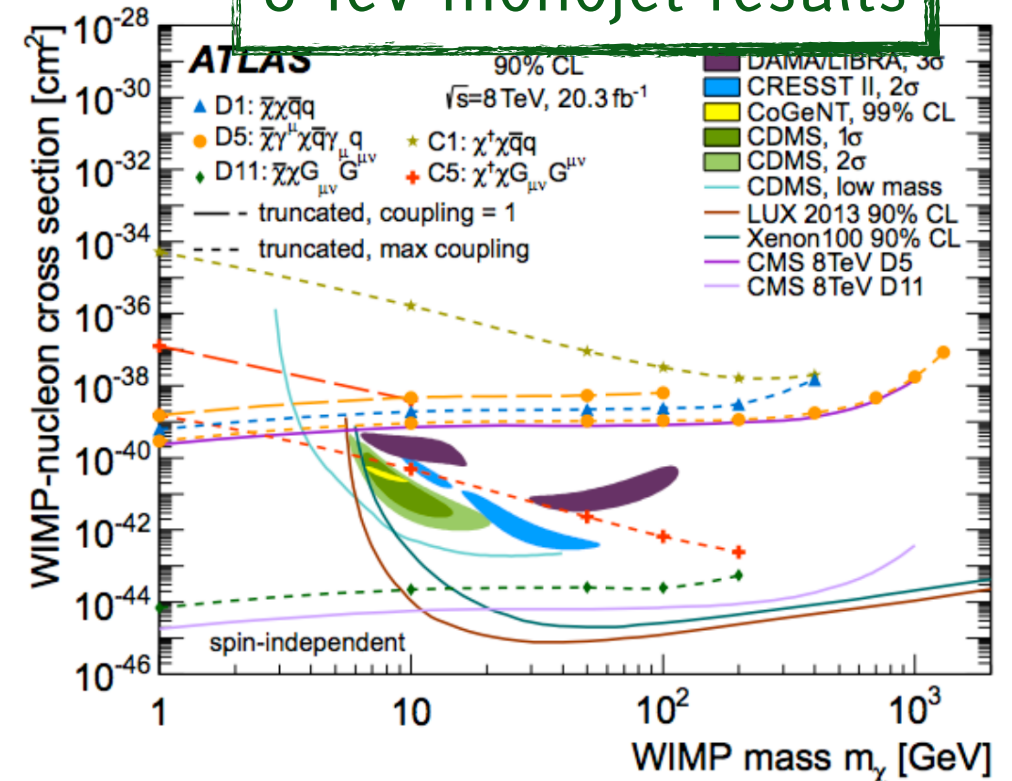


$$-y_\chi \bar{\chi}\chi S - \mu_p S |H|^2 - \lambda_p S^2 |H|^2$$

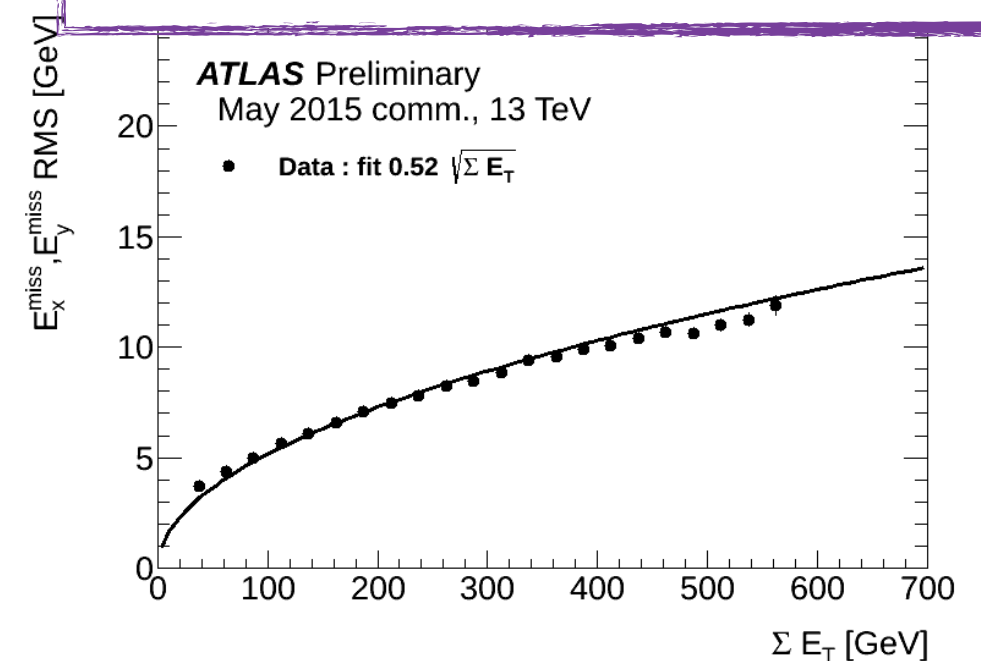
Can We Get Into That Plane?

- ▶ how (and how far) can LHC go in the comparison to direct DM detection experiments?
 - ❖ the answer is **quite far** provided we use both EFT and simplified-model eyeglasses (arXiv:1506.03116)
 - ▶ our ultimate job is to produce and study particles, and DM *is* a particle...
 - ▶ experimental challenge for Run-2 and beyond
 - ❖ most signatures based on MET/jet/e- γ reconstruction, need to fight against pile-up!
- data will tell us how the DM puzzle talks to our brand new SM-ish Higgs, and if there are surprises...

8 TeV monojet results



MET resolution with Run-2 data



Surprises

<intentionally left blank>

Conclusions

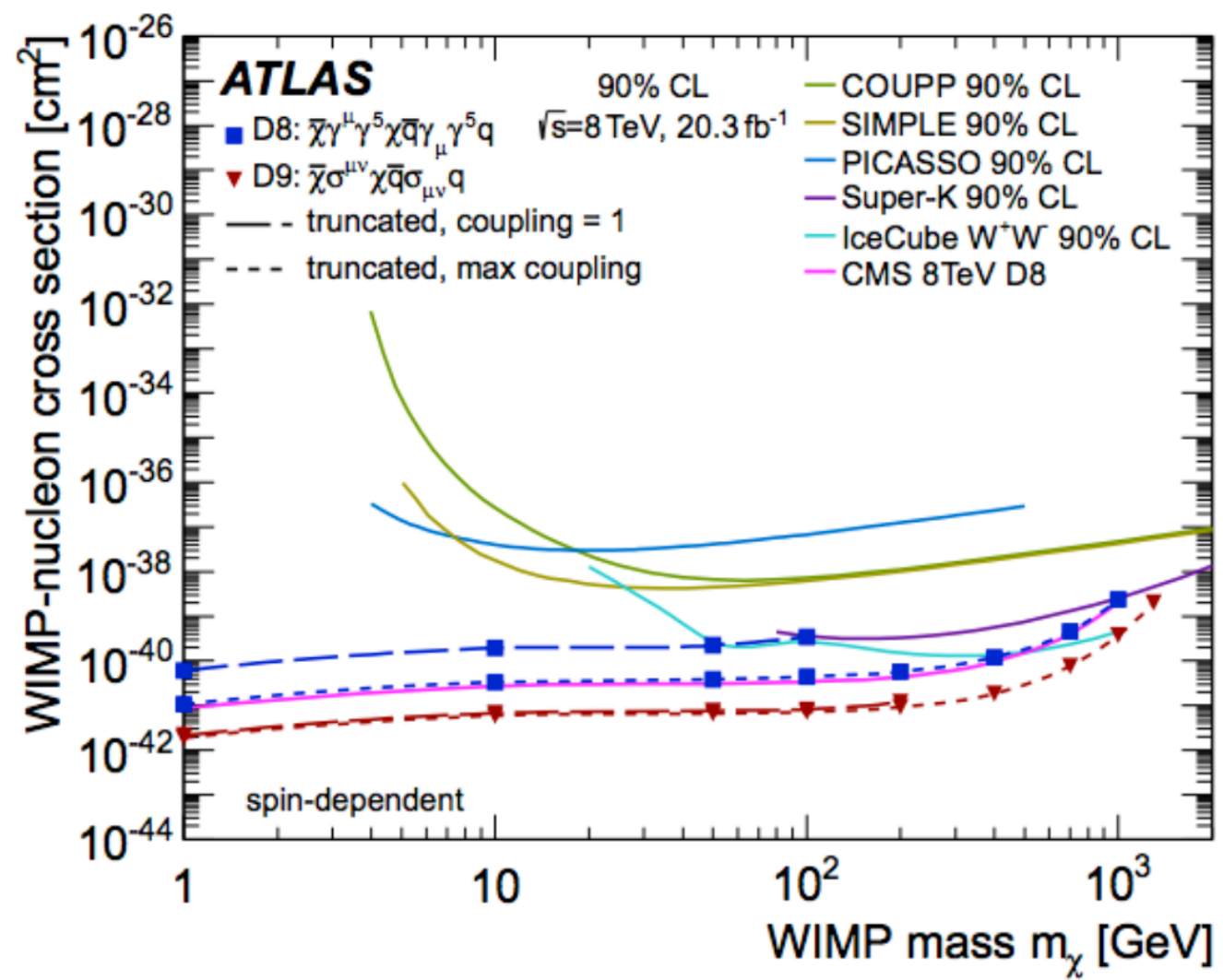
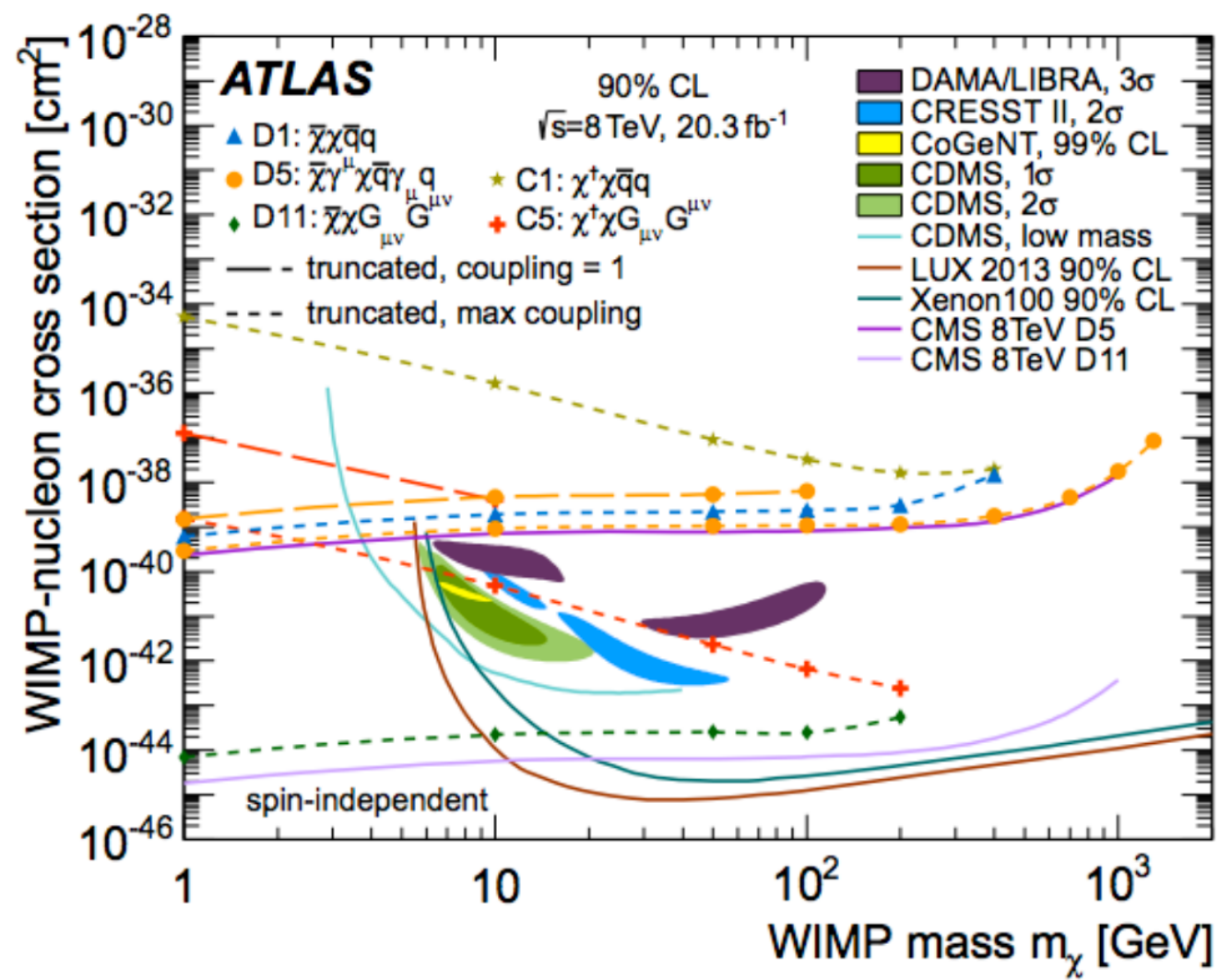
- ▶ July 4th 2012 marked an historic milestone for particle physics
 - ❖ a new era of precision measurements and searches for new physics is now open
- ▶ the aim of this thesis was to contribute to the reaching of this milestone...
 - ❖ optimisation of selection criteria and Higgs mass resolution to achieve a timely discovery
- ▶ ... and to go beyond
 - ❖ J^{PC} of the new particle, perspective studies for probing HZZ tensor structure
- ▶ they were (and are!) exciting times, which shed light on paths for new physics
 - ❖ can it be a doorway to the unknown? (e.g. Dark Matter)
 - ◆ LHC is an unique opportunity to be a Higgs-factory first, and a Dark Matter factory possibly...

**new data will tell us... let's
remain open to the unknown!**

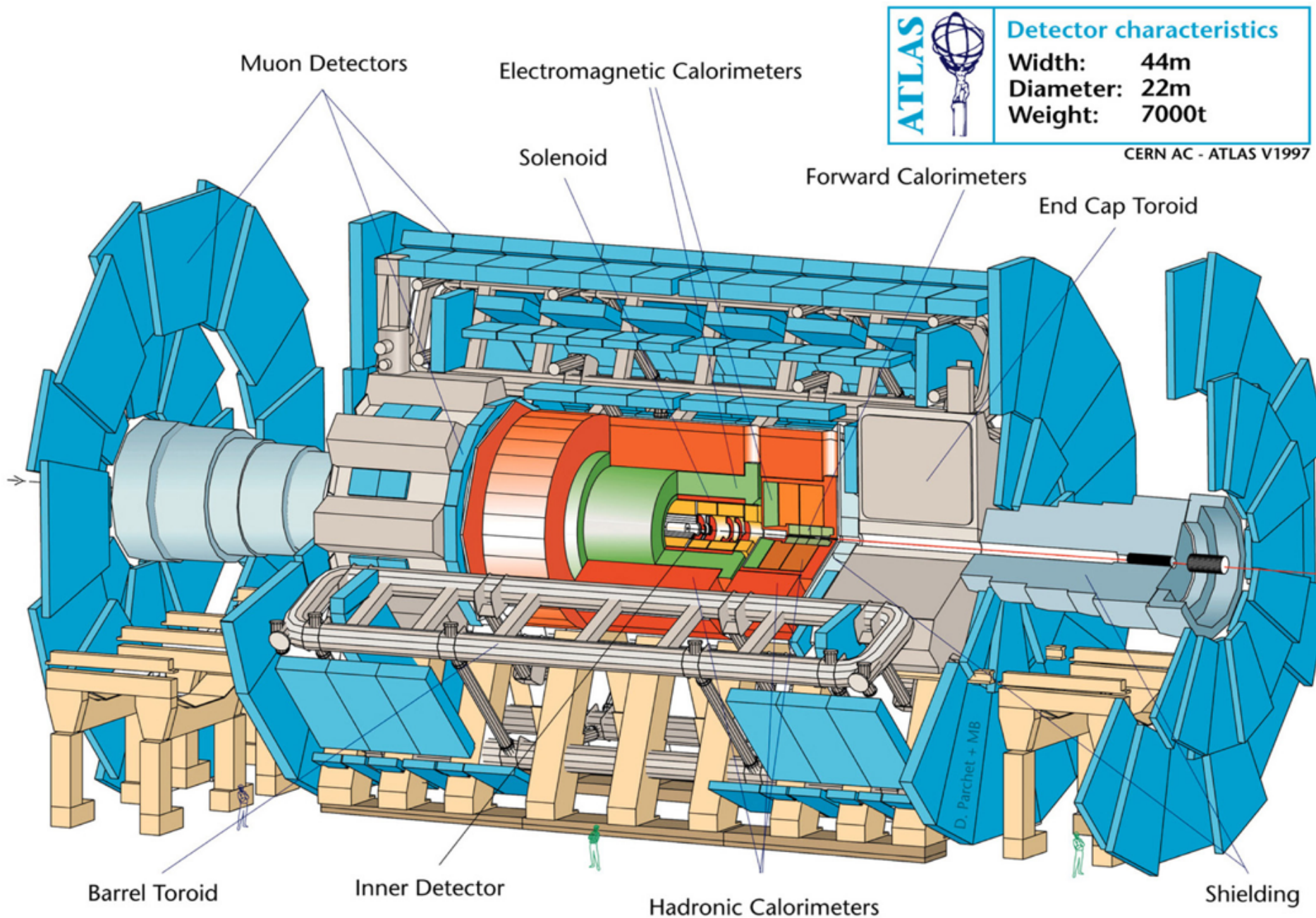
That's all Folks!



Backup



ATLAS - the Instrument



[ID]
 $B = 2 \text{ T}$, up to $|\eta| < 2.5$
 $\sigma/p_T \sim 3.4 \times 10^{-4} p_T \oplus 0.015$

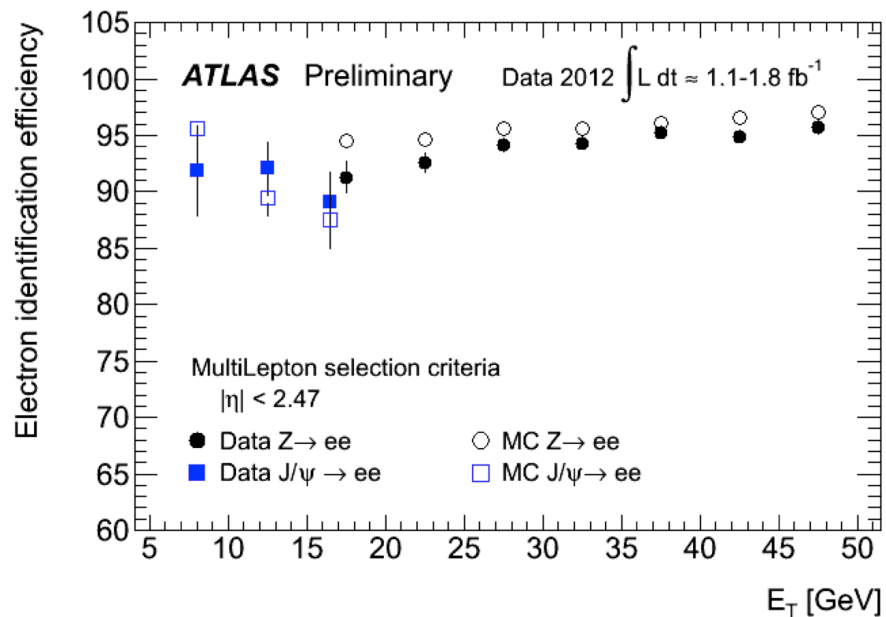
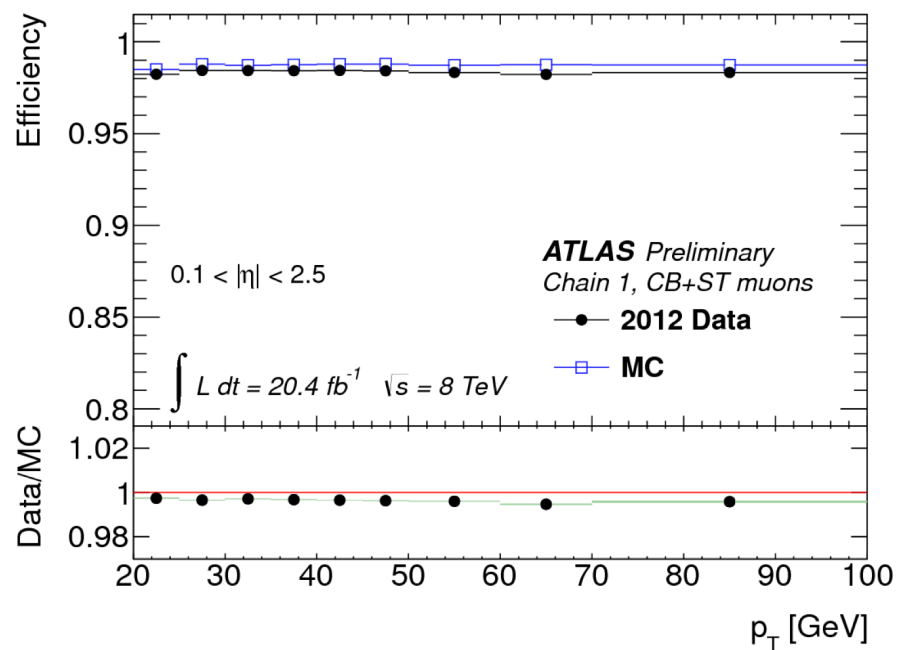
[ECAL]
 up to $|\eta| < 3.2$
 $\sigma/E \sim 10\%/\sqrt{E} \oplus 1 \div 3\%$

[HCAL]
 up to $|\eta| < 3.2$ (FCAL: 4.9)
 $\sigma/E \sim 50\%/\sqrt{E} \oplus 0.03$

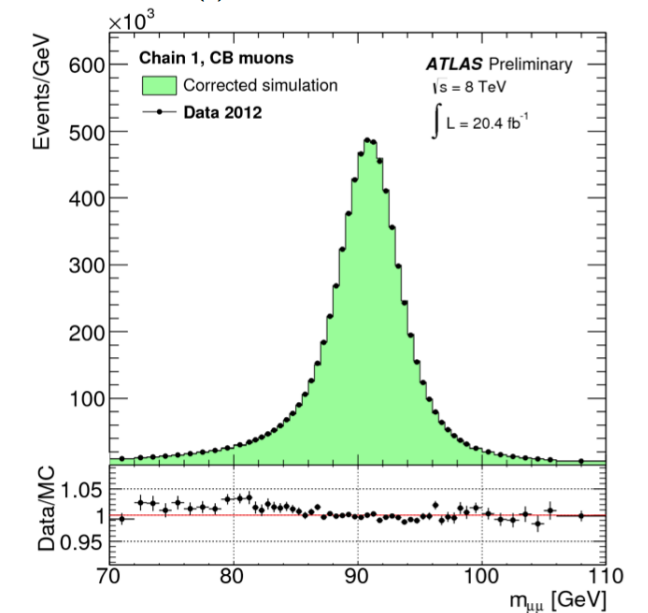
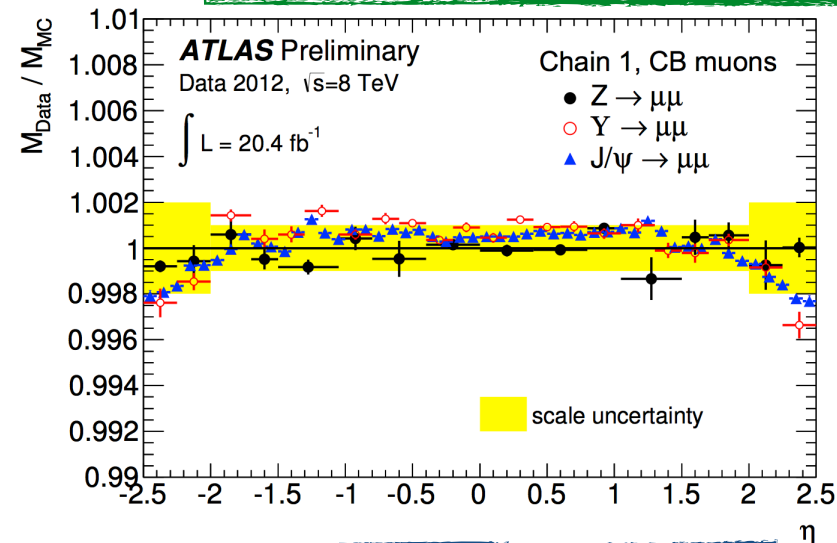
[MS]
 up to $|\eta| < 2.7$
 $\sigma/p_T < 10\%$ up to 1 TeV

Reconstruction: a Challenge

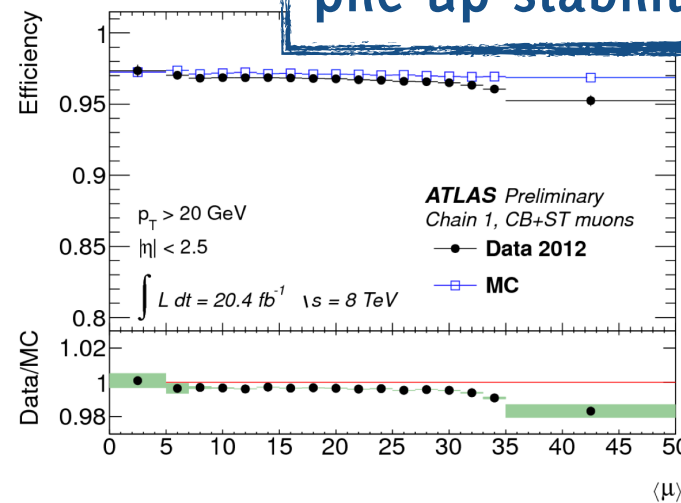
Reconstruction efficiency



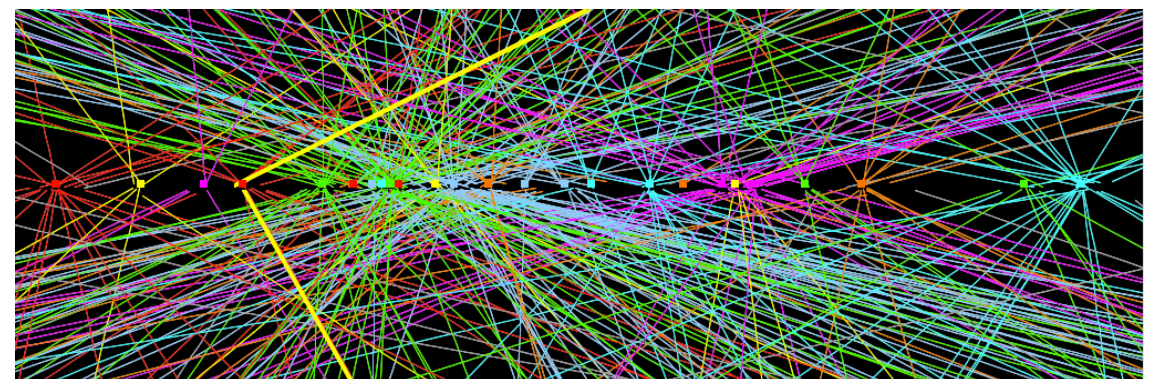
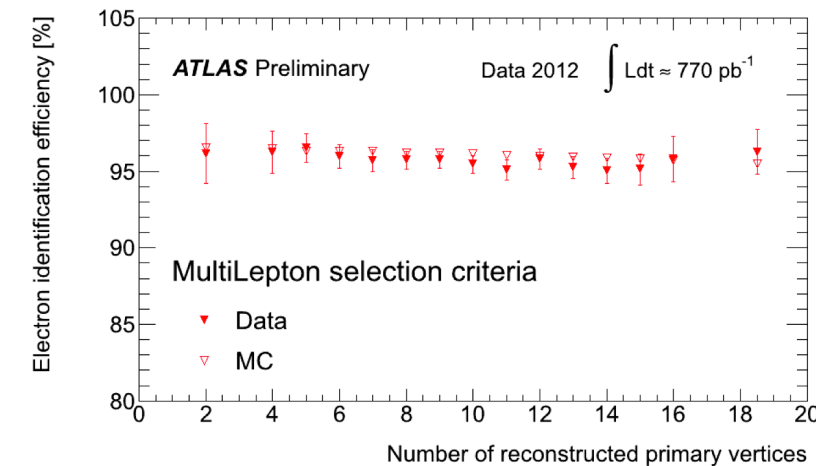
Energy/momentum scale



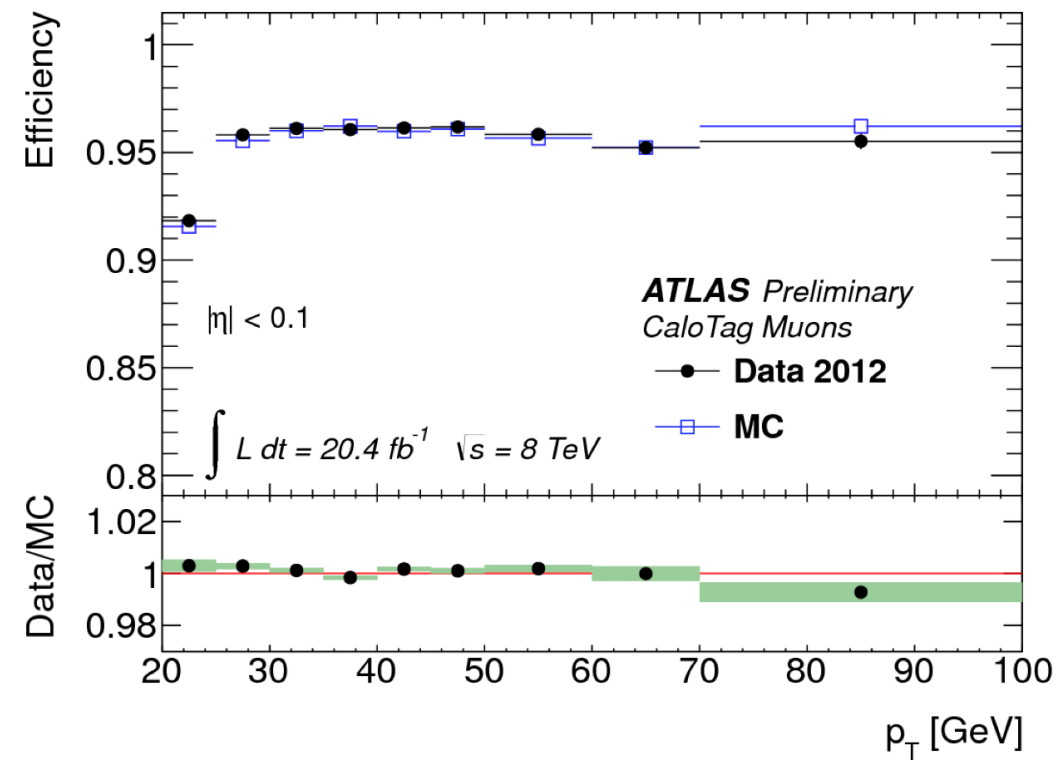
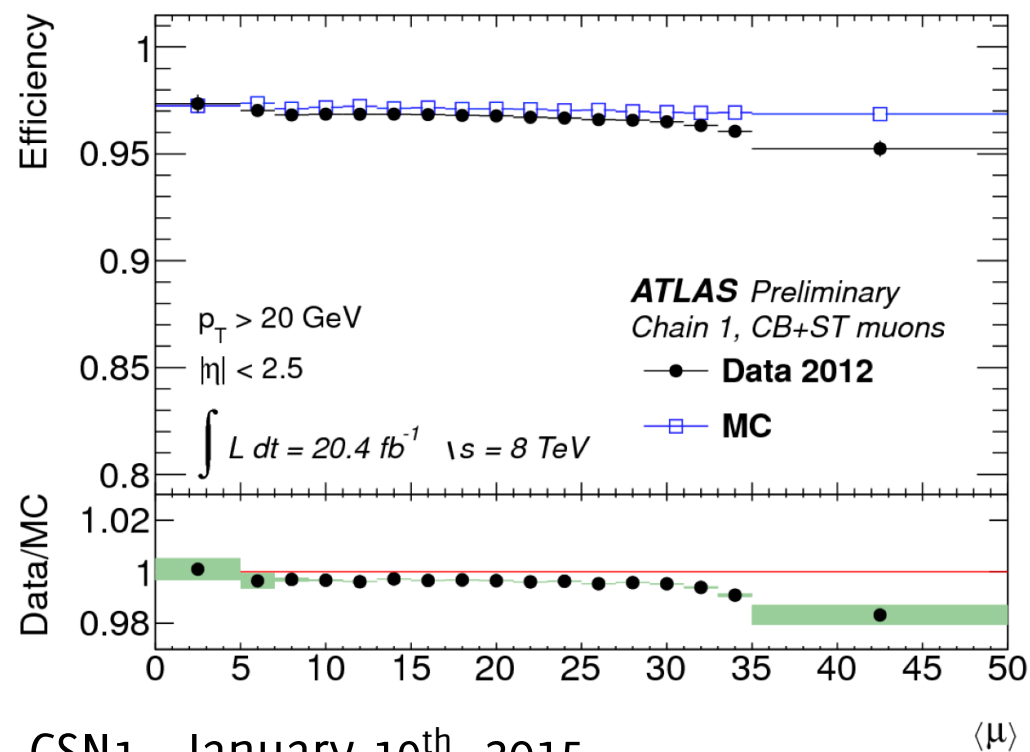
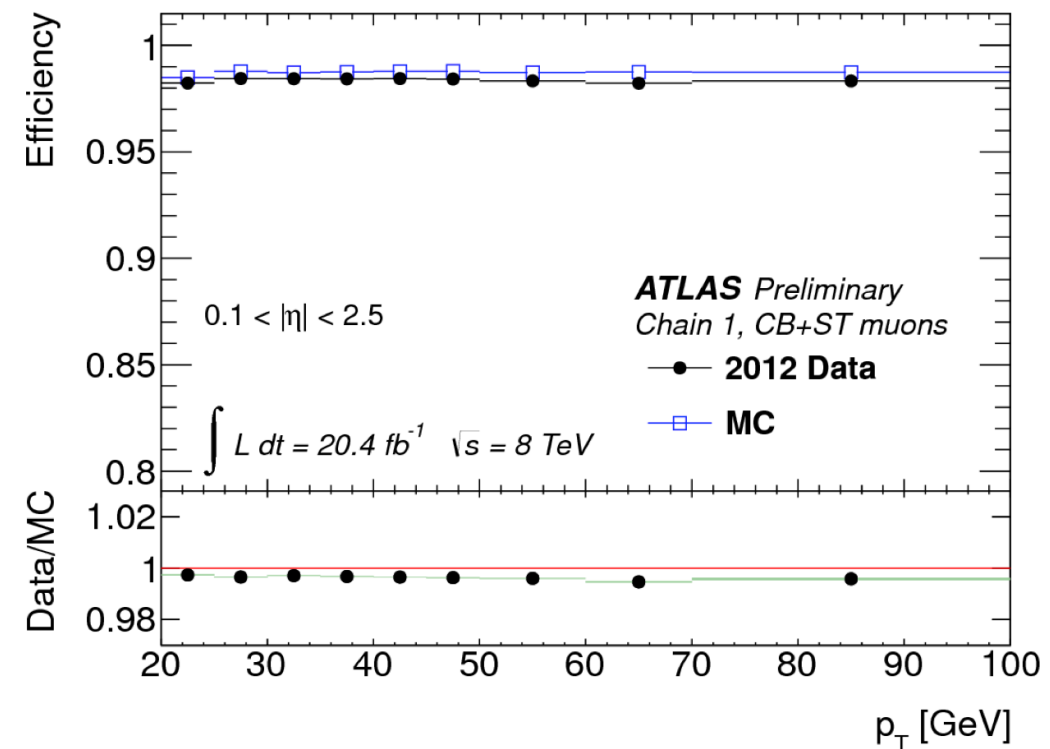
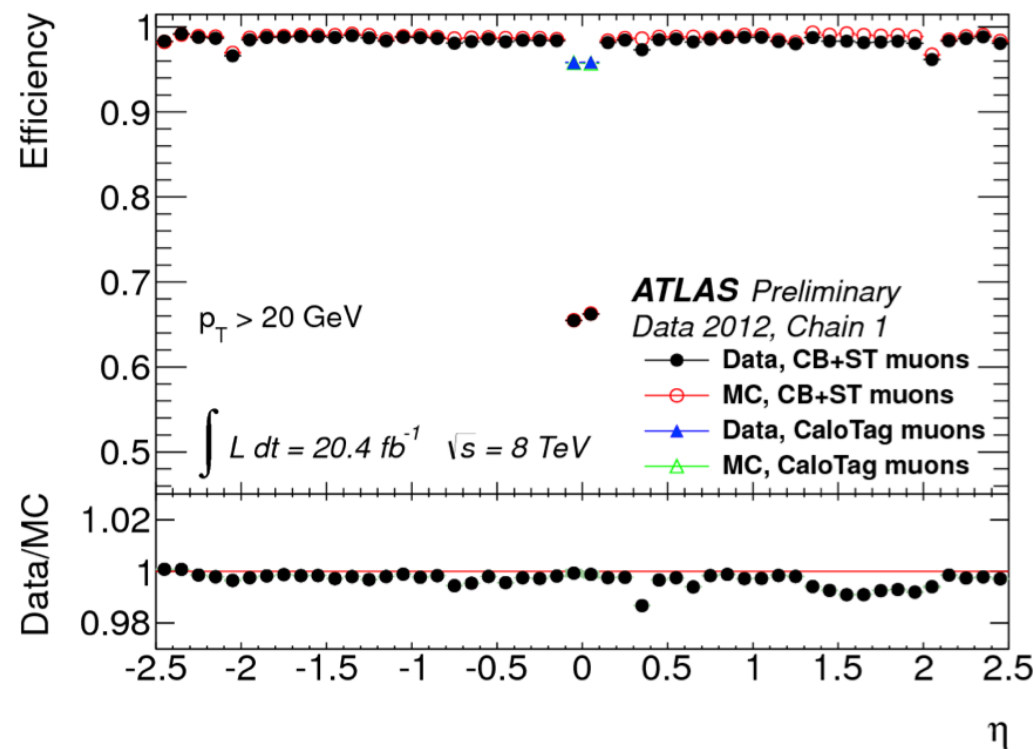
pile-up stability



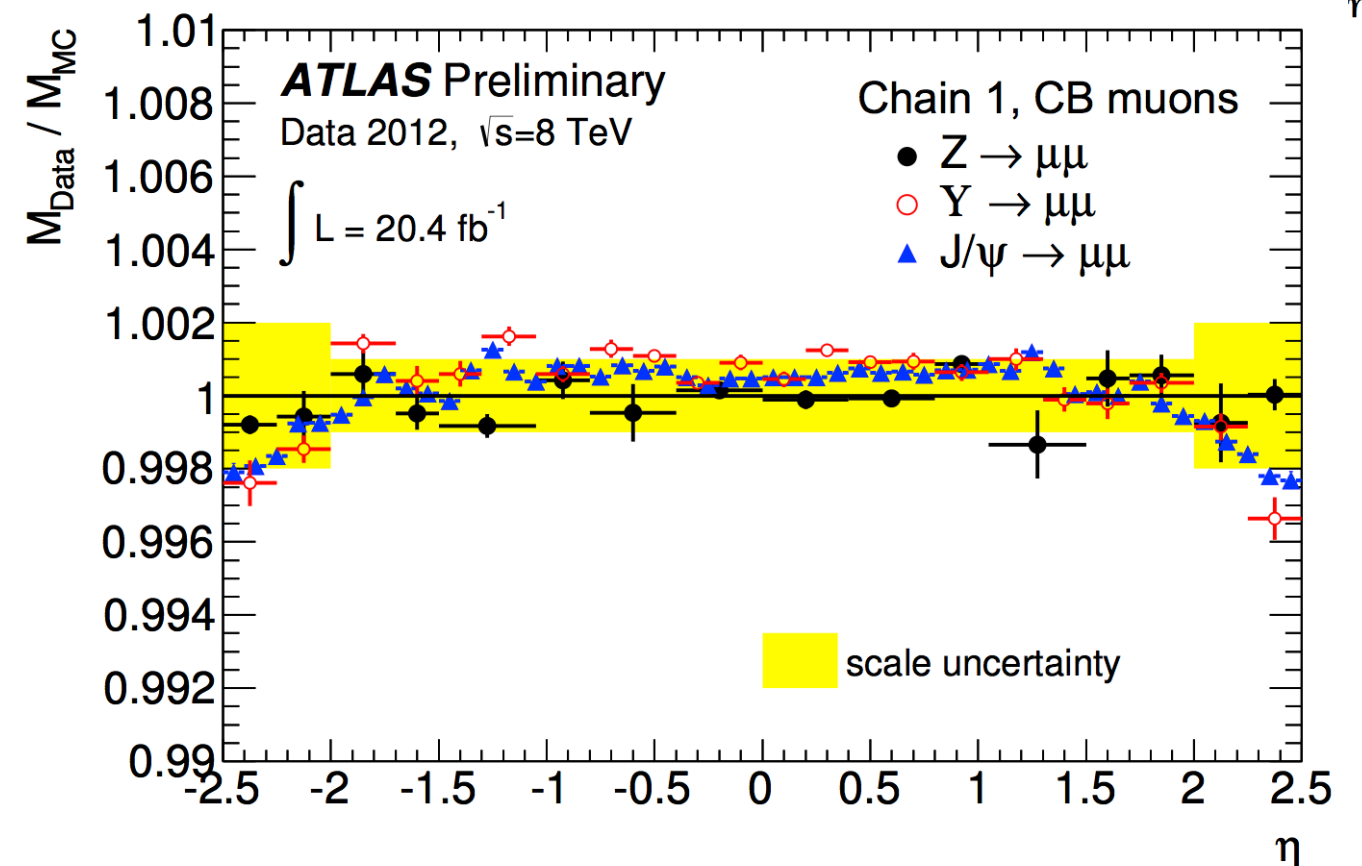
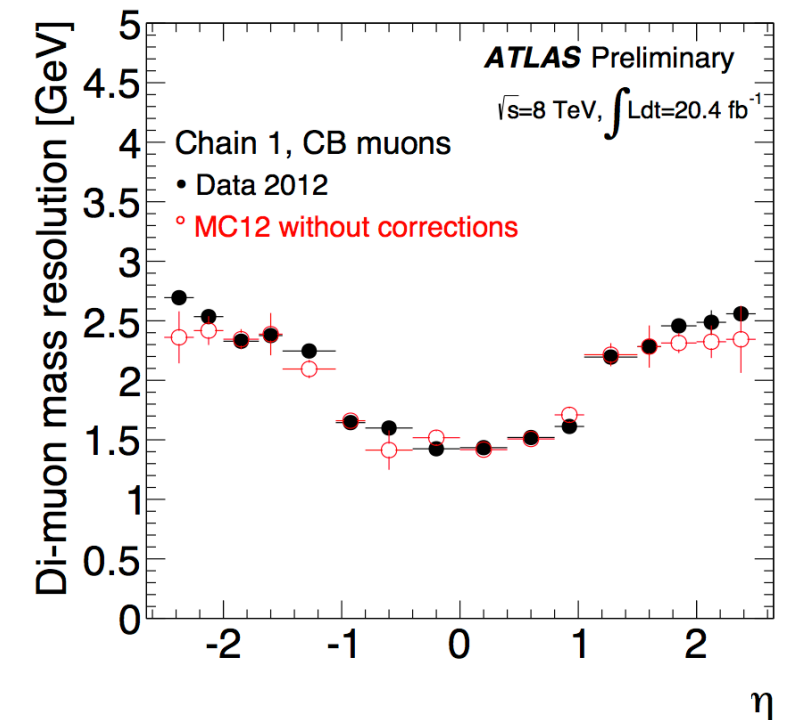
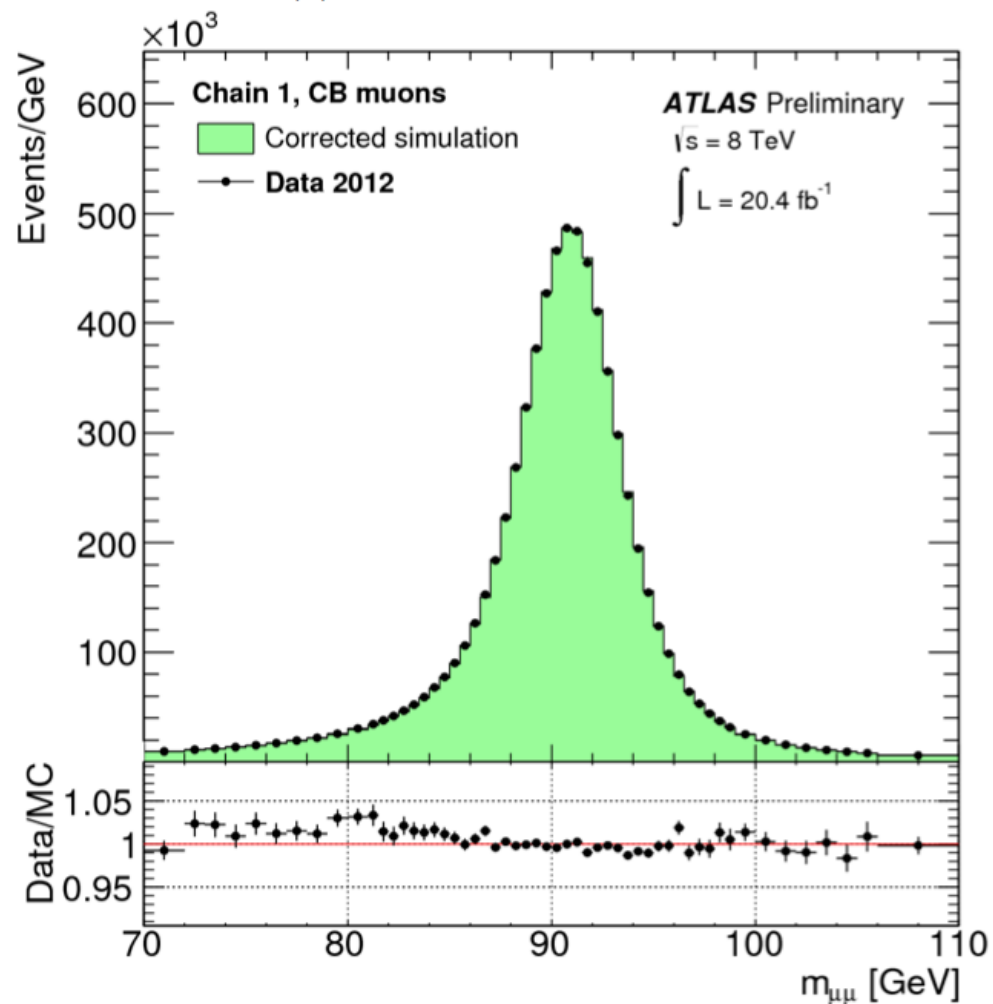
L up to $7.7 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$



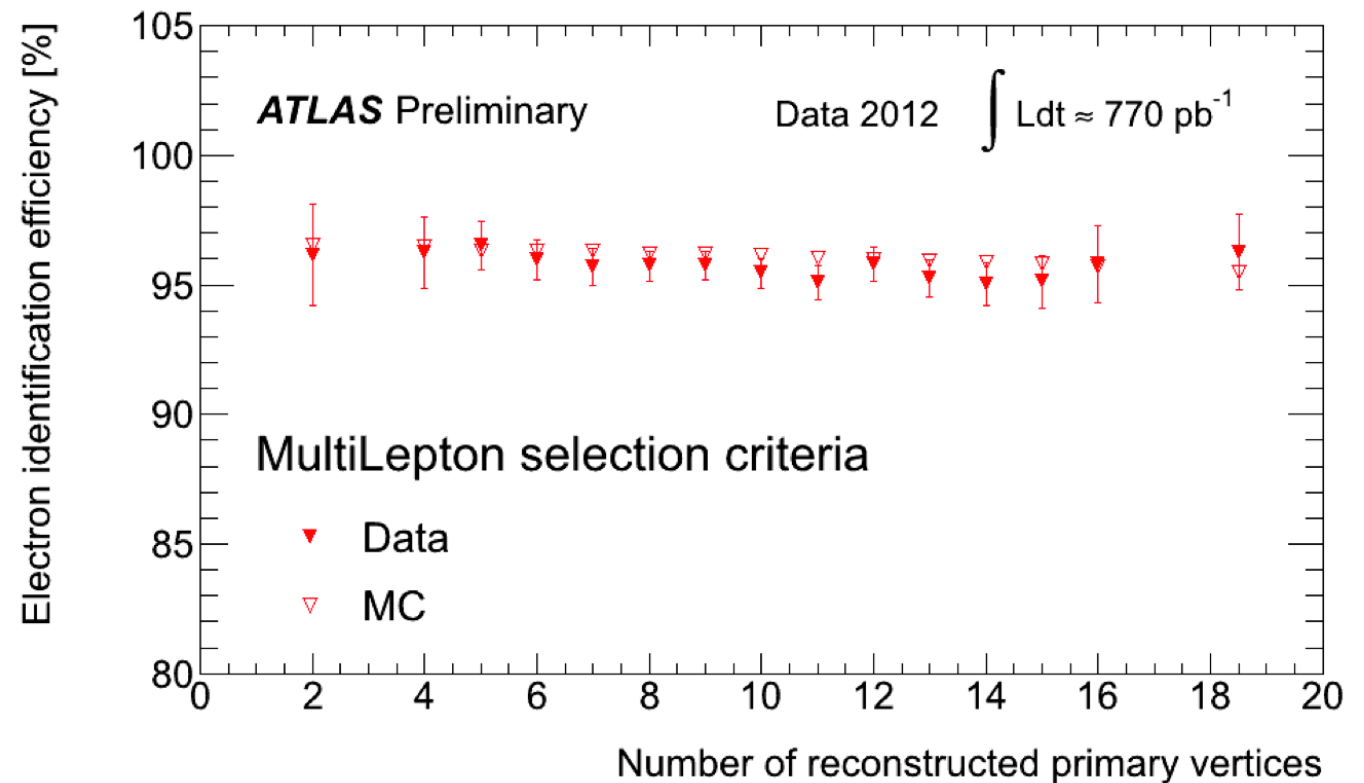
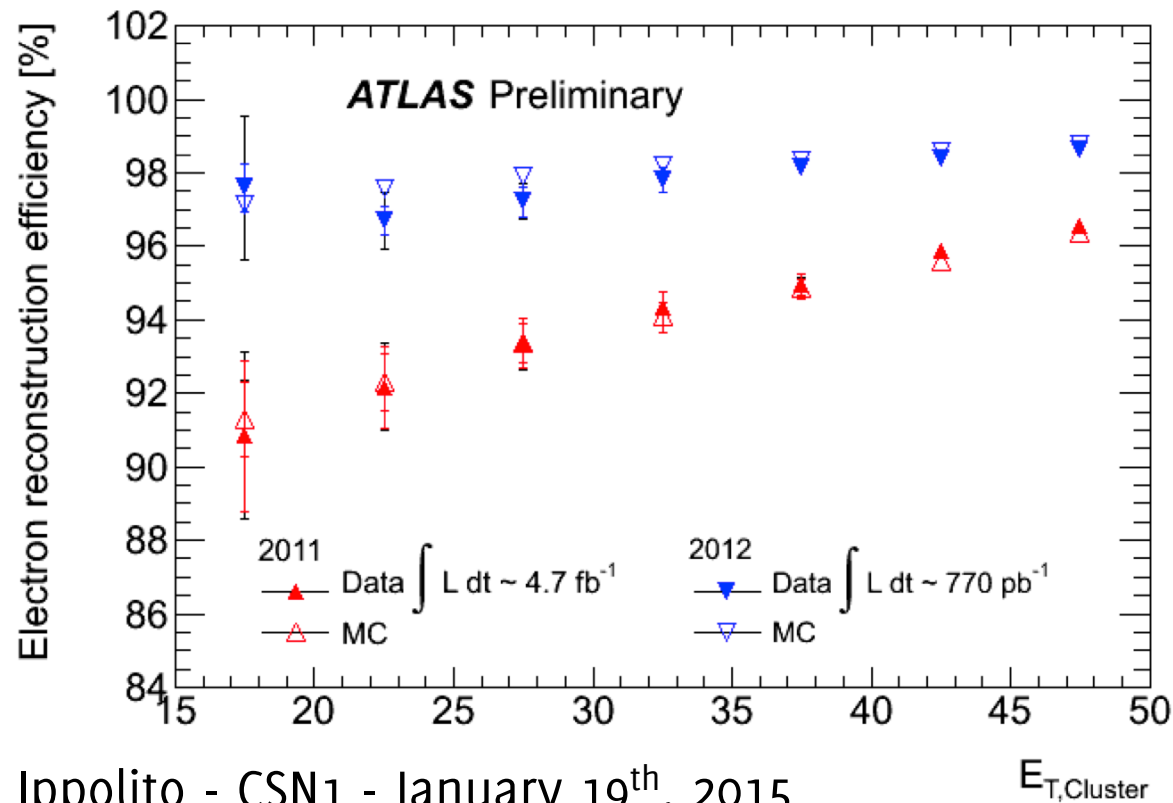
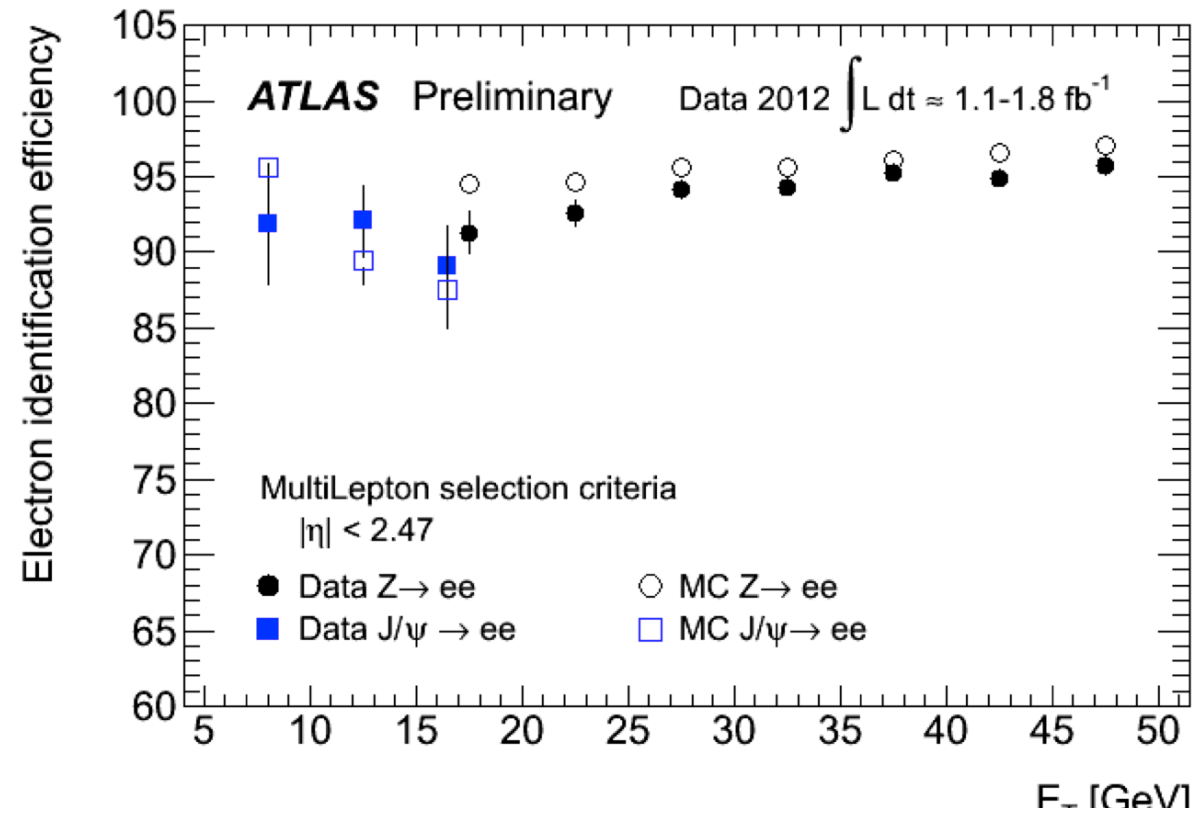
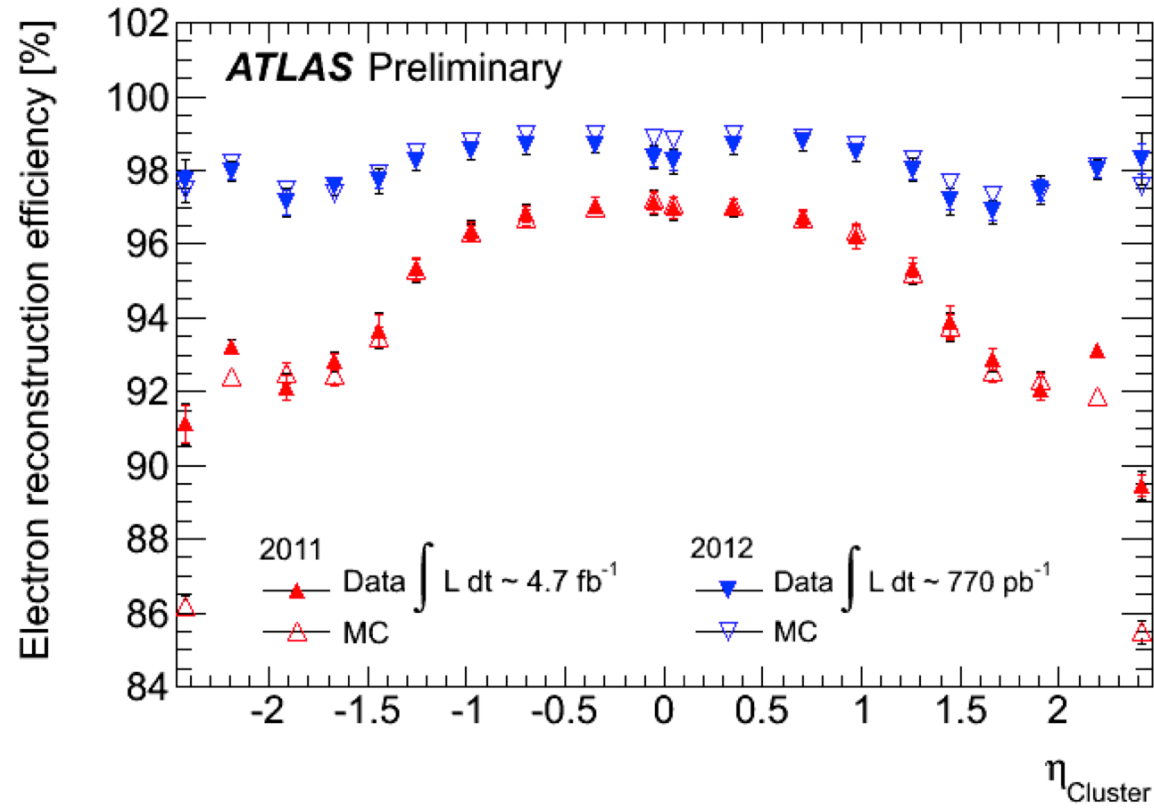
Muon Reconstruction



Muon reconstruction



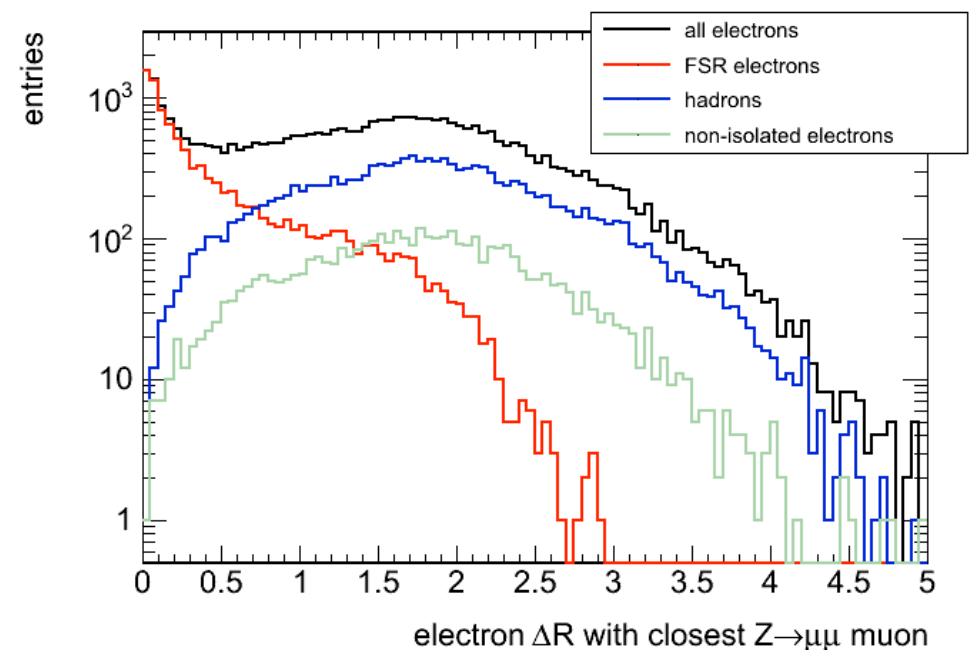
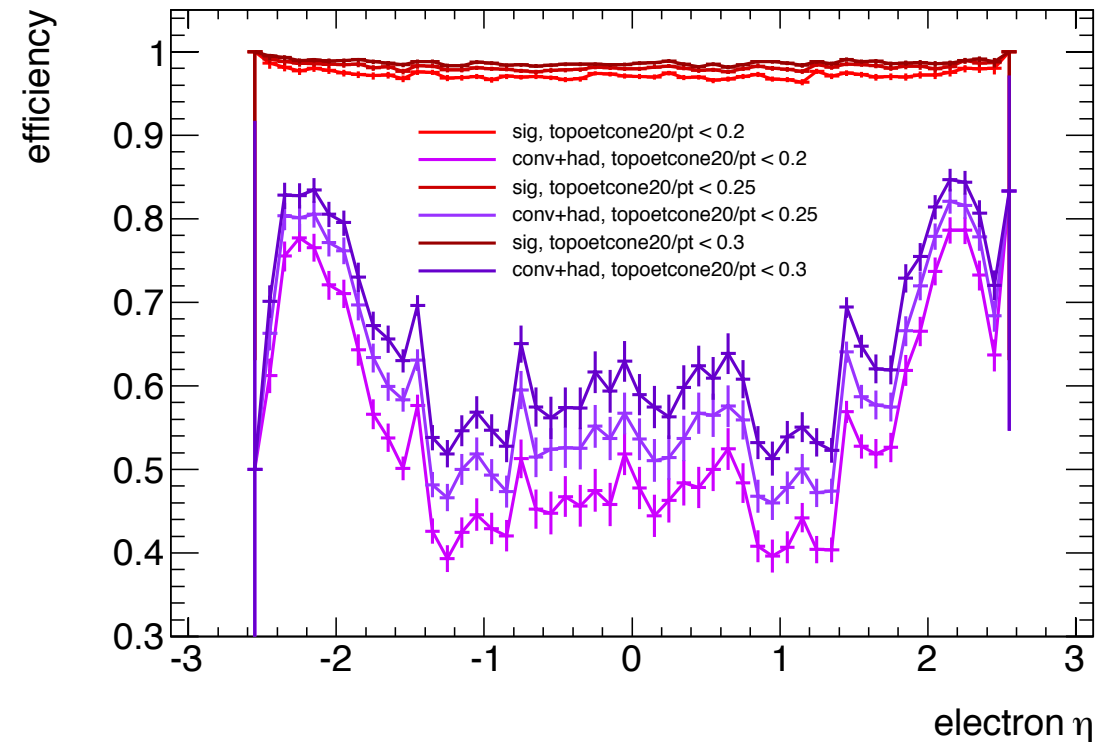
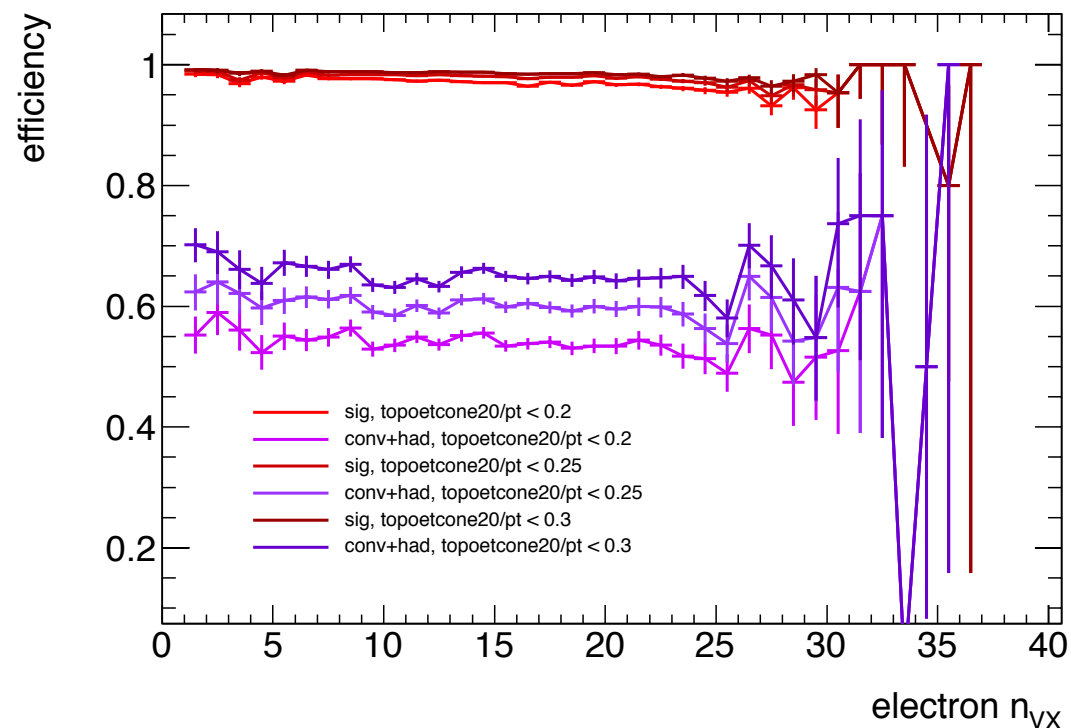
Electron Reconstruction



Isolation on $\ell\ell+ee$

optimization of electron isolation criteria

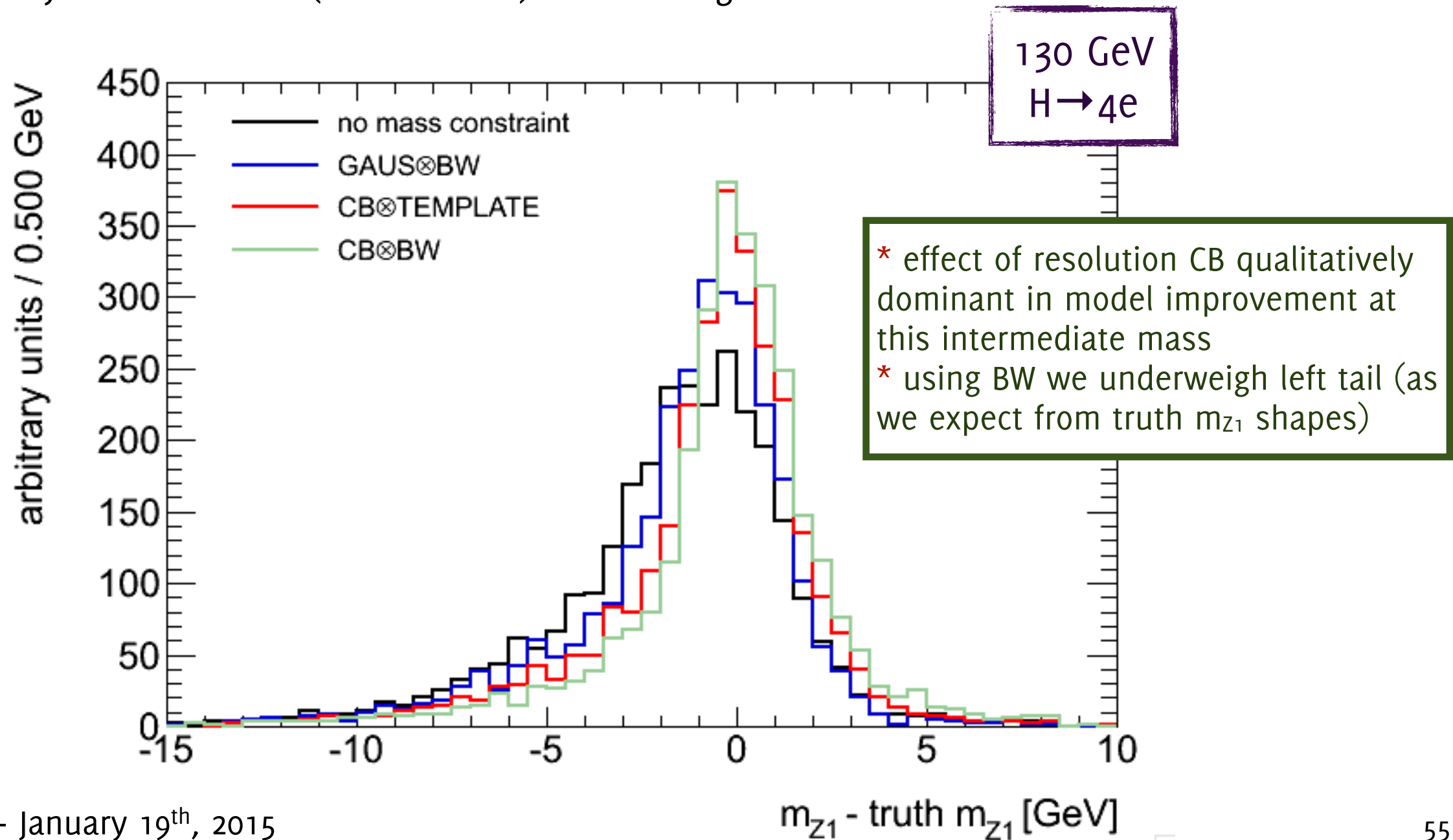
- * introduced topocluster iso
- * working point against electron fakes
- * $\Delta R(e,\mu)$ to reject FSR fakes



Choosing the model

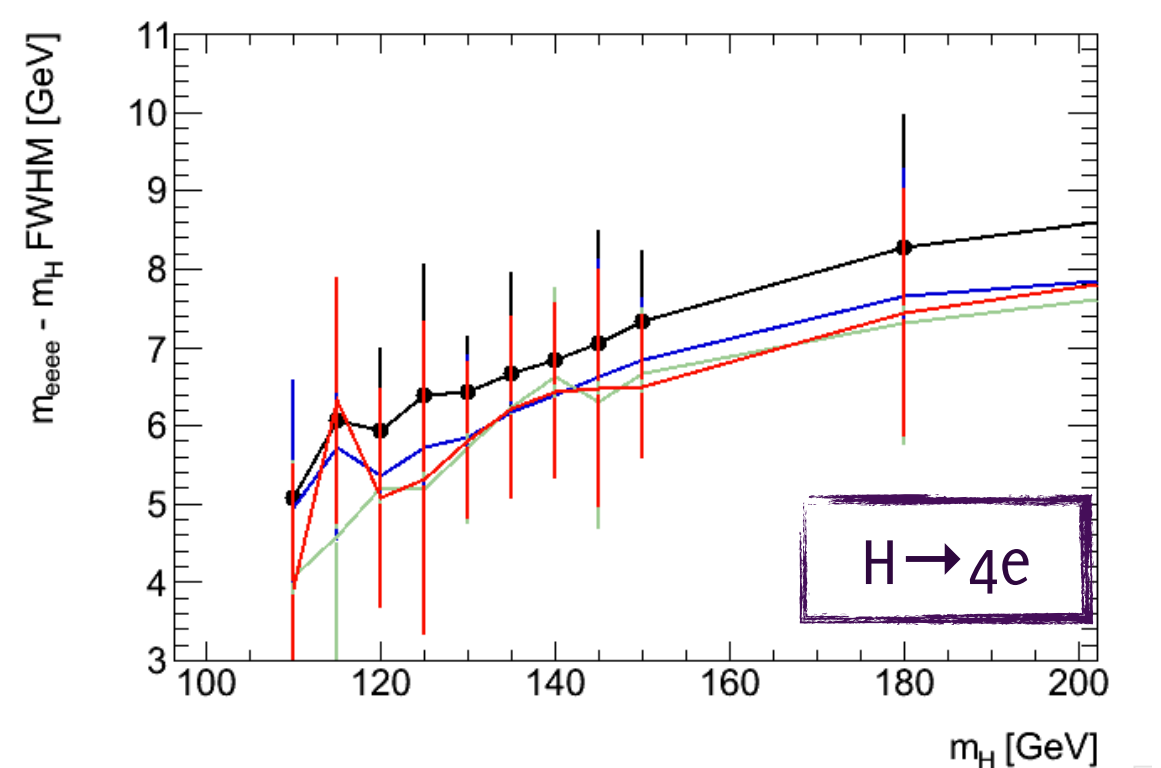
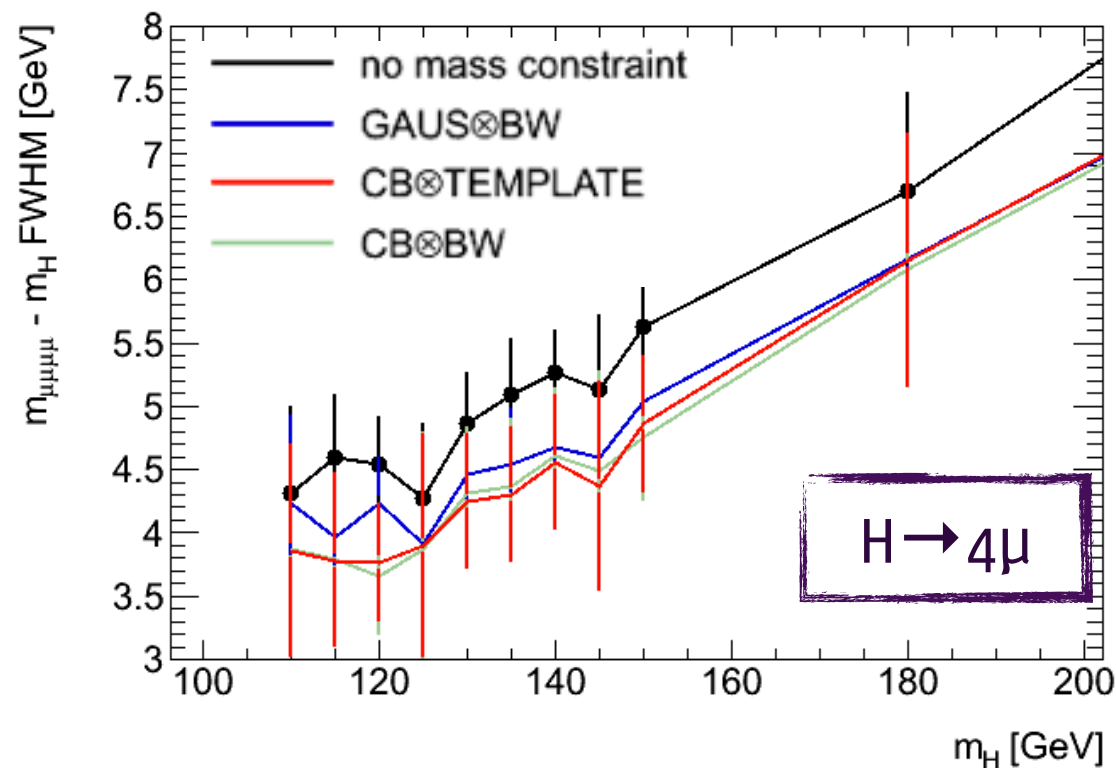
Z mass resolution for different constraint methods

- * include tails in m_{Z_1} for low m_H
- * use crystal ball model (fitted on MC) instead of gaussian resolution

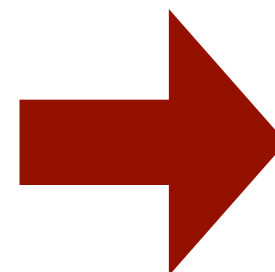


Comparing different models

Higgs mass resolution vs m_H for different constraint methods

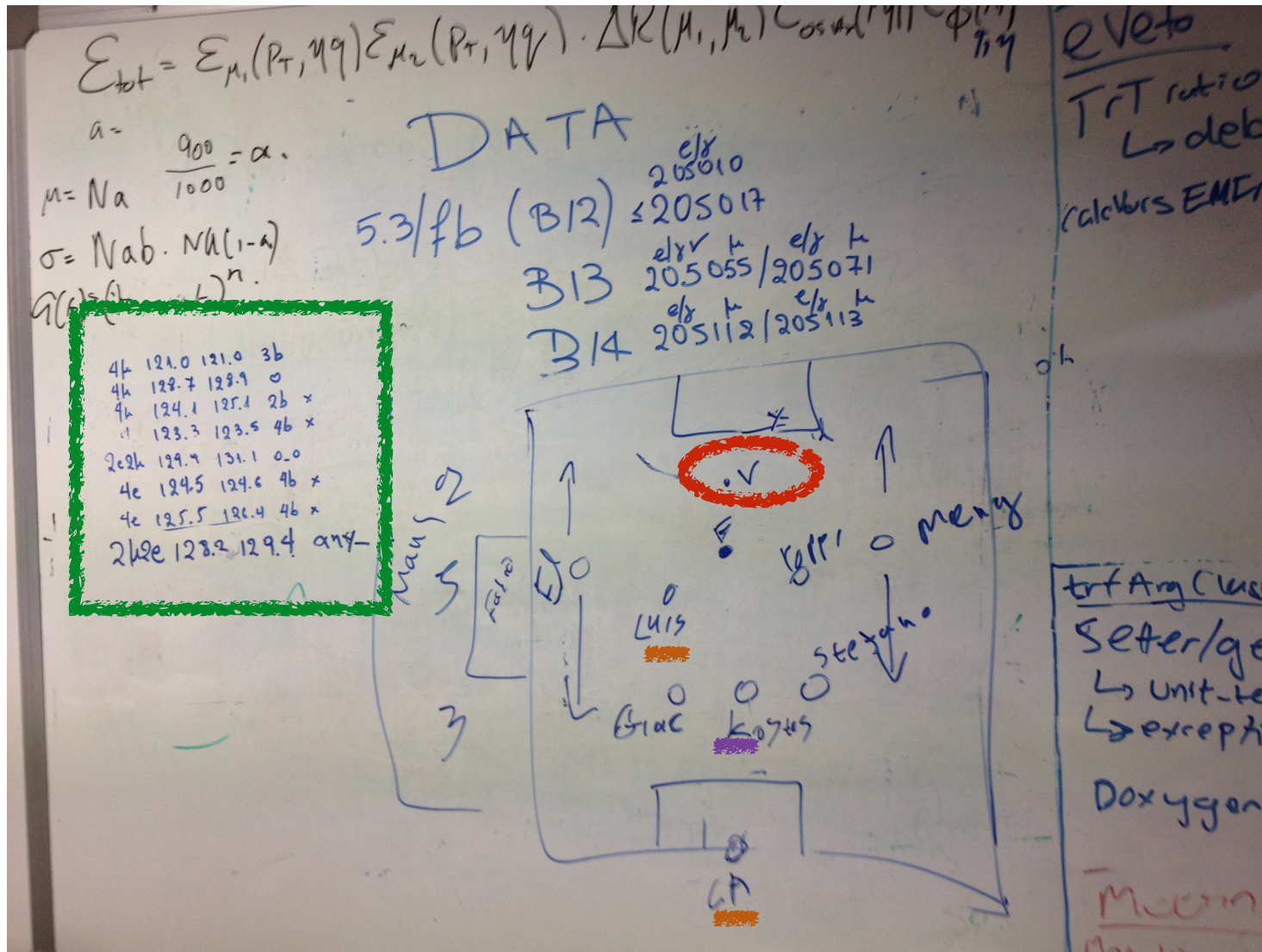


improvement in mass resolution from more complex models is negligible (covered by systematics needed for a m_H -dependent model)



introduced in $H \rightarrow 4\ell$ search the Z mass constraint fit with gaussian resolution and Breit-Wigner m_Z^{true} prior

Building a Discovery



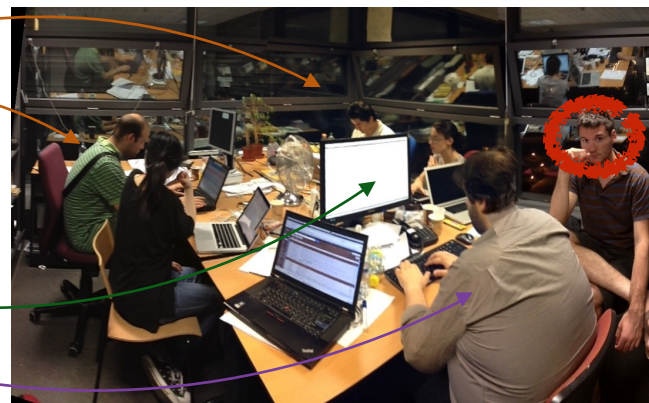
an exciting team work!

* first hints at a 5σ combined discovery on June 19th, 2012 at 01h02 AM

* from day-to-day candidate search with increasing integrated luminosity to paper editors, group conveners, ATLAS

CERN 40/4-Co8 - Sunday June 24th, 2012 - ~2 AM

paper editor
 paper editor
 discovery whiteboard
 Higgs boson
 convener



Valerio Ippolito
 To: Konstantinos Nikolopoulos Cc: Luis Roberto Flores Castillo, and 2 more...
 Re: resolutions
 19 Jun 2012 01:02

Hi Kostas,
 you can find under
/afs/cern.ch/work/v/vippolit/kostas/candidate_lists

what you asked for. There you have three candidate lists:
 - data11
 - data12 (the 79 candidates)
 - my list for data12 (full dataset available up to yesterday evening)

Let me know, particularly for the third one! My biased and tired eye finds interesting the following:

4mu	204769	71902630	398	124.09	86.34	31.57	125.09	bb
4mu	204769	82599793	447	123.25	84.01	34.21	123.47	bbbb
4e	203602	82614360	429	124.49	70.63	44.66	124.61	bbbb
4e	204910	22993546	376	125.52	88.93	22.28	126.36	bbbb

(keep in mind that everything beyond run 204668 I accept blindly without GRL, so those three candidates might disappear - but maybe Fabien has hints on these runs/lumblocks?)

Cheers,
 Valerio

V. Ippolito - Frascati - June 24th, 2015

Building a Discovery



CERN 40/4-Co8 - Sunday June 24th, 2012 - 2:13 AM

an exciting team work!

- * first hints at a 5σ discovery on June 18th, 2012
- * different layers well represented by the “discovery white board” team
- * from day-to-day candidate search with increasing integrated luminosity to paper editors, group conveners, ATLAS management...

Detector effects

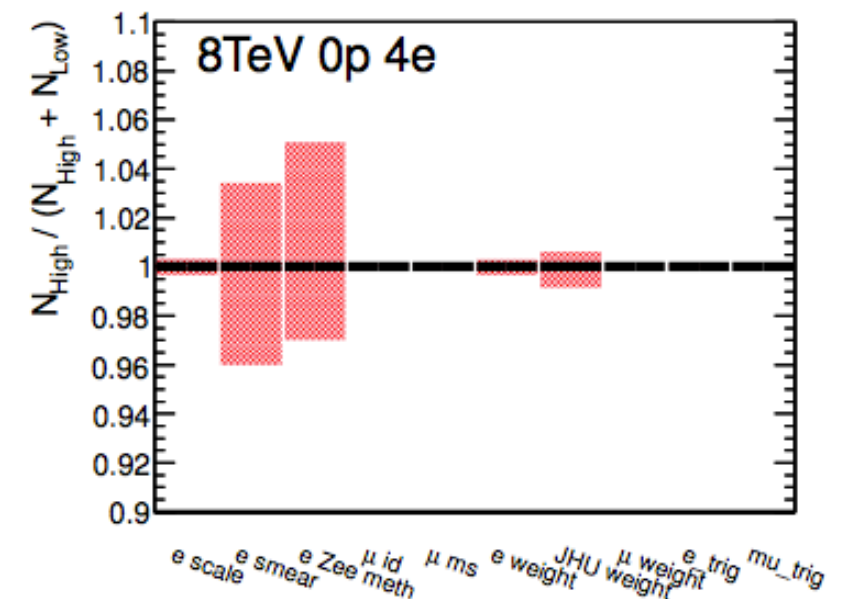
Impact of different reconstruction regions on m_{4l} resolution

channel	name	description	frequency	m [GeV]	σ [GeV]	events outside $\pm 2\sigma$
$\mu\mu\mu\mu$	all	all events	1.00	124.89 ± 0.02	1.64 ± 0.02	0.15
$\mu\mu\mu\mu$	bbbb	all muons in the barrel	0.19	124.81 ± 0.04	1.42 ± 0.04	0.16
$\mu\mu\mu\mu$	bbb	three muons in the barrel	0.28	124.86 ± 0.04	1.69 ± 0.04	0.14
$\mu\mu\mu\mu$	bb	two muons in the barrel	0.26	124.91 ± 0.04	1.56 ± 0.04	0.17
$\mu\mu\mu\mu$	other	any other event	0.26	125.05 ± 0.04	1.74 ± 0.05	0.17
$\mu\mu ee$	all	all events	1.00	124.24 ± 0.04	2.15 ± 0.04	0.19
$\mu\mu ee$	any_onecrk	at least one electron in the crack region	0.10	124.15 ± 0.18	2.97 ± 0.04	0.19
$\mu\mu ee$	bb_bb	all leptons in the barrel	0.29	124.40 ± 0.06	1.73 ± 0.06	0.22
$\mu\mu ee$	other_bb	electrons in the barrel, at least a muon in the endcap	0.35	124.32 ± 0.07	2.08 ± 0.06	0.17
$\mu\mu ee$	other_other	any other event	0.26	124.05 ± 0.08	2.28 ± 0.08	0.21
$ee\mu\mu$	all	all events	1.00	124.22 ± 0.03	1.85 ± 0.03	0.25
$ee\mu\mu$	onecrk_any	at least one electron in the crack region	0.10	124.05 ± 0.14	2.62 ± 0.14	0.23
$ee\mu\mu$	bb_bb	all leptons in the barrel	0.31	124.34 ± 0.05	1.58 ± 0.04	0.25
$ee\mu\mu$	bb_other	electrons in the barrel, at least a muon in the endcap	0.25	124.32 ± 0.06	1.64 ± 0.05	0.24
$ee\mu\mu$	other_other	any other event	0.34	124.03 ± 0.07	2.10 ± 0.06	0.25
$eeee$	all	all events	1.00	123.37 ± 0.05	2.54 ± 0.05	0.20
$eeee$	bbbb	all electrons in the barrel	0.46	123.66 ± 0.07	2.08 ± 0.06	0.22
$eeee$	onecrk	at least one electron in the crack region	0.18	123.59 ± 0.16	3.05 ± 0.13	0.20
$eeee$	bbb	three electrons in the barrel (none in the crack)	0.22	123.15 ± 0.12	2.80 ± 0.12	0.20
$eeee$	other	any other event	0.15	122.91 ± 0.14	2.60 ± 0.13	0.23

Systematics

normalization systematics

- signal cross-section + MC statistics: 20%
- ZZ cross-section + MC statistics: 7%
- data-driven reducible background: 32%
- all: (anticorrelated) high/low $m_{4\ell}$ bin migration due to ESS and assumed m_H : 14%



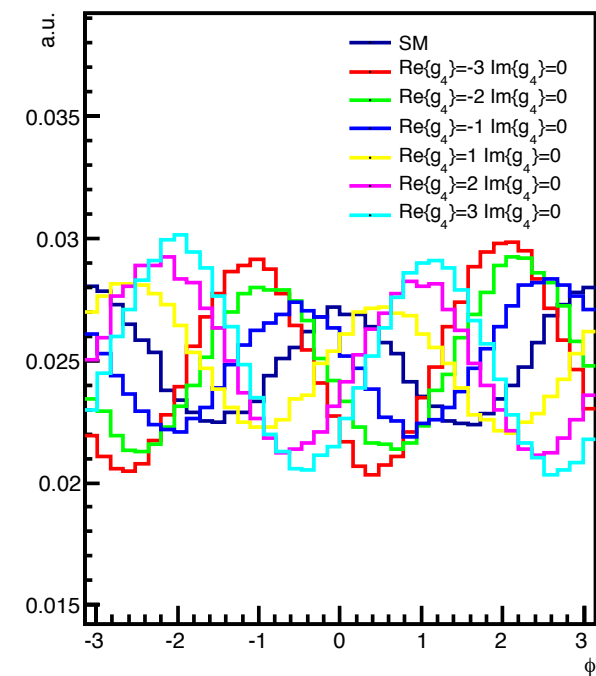
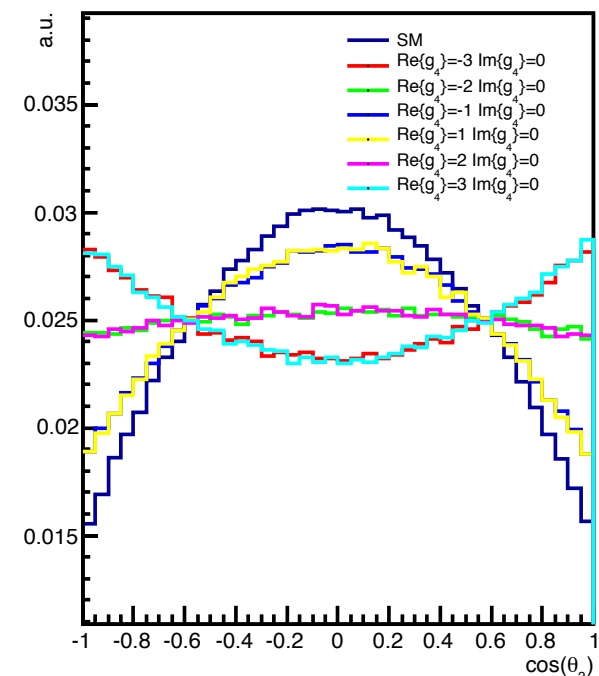
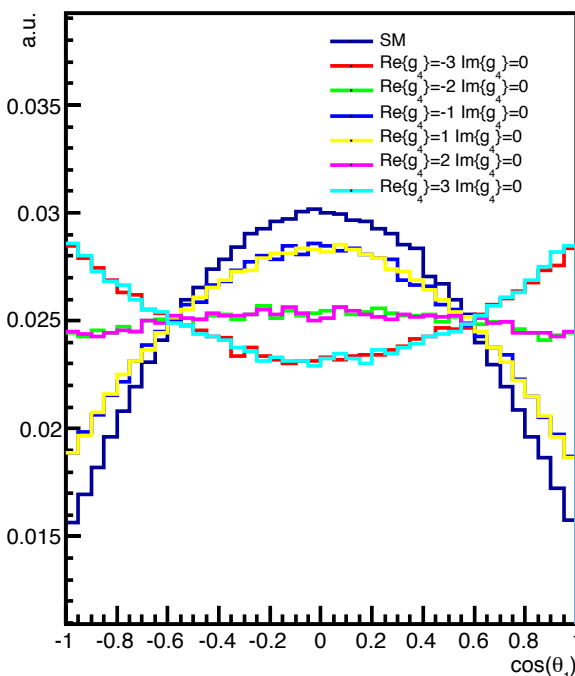
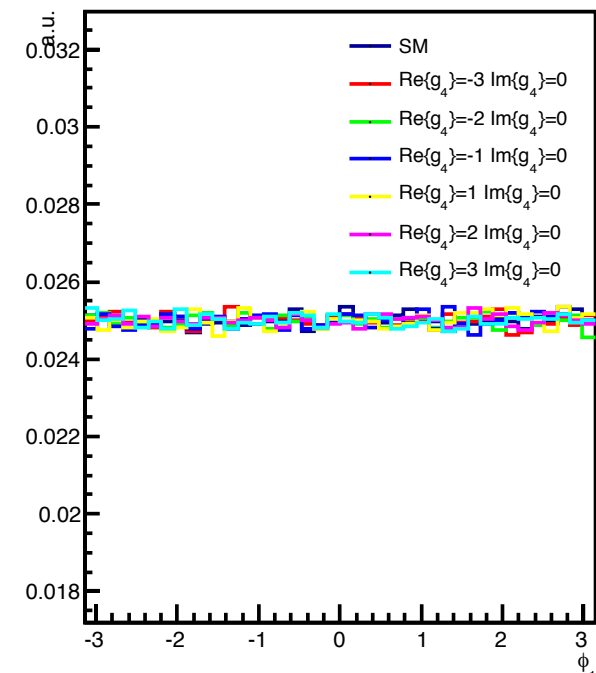
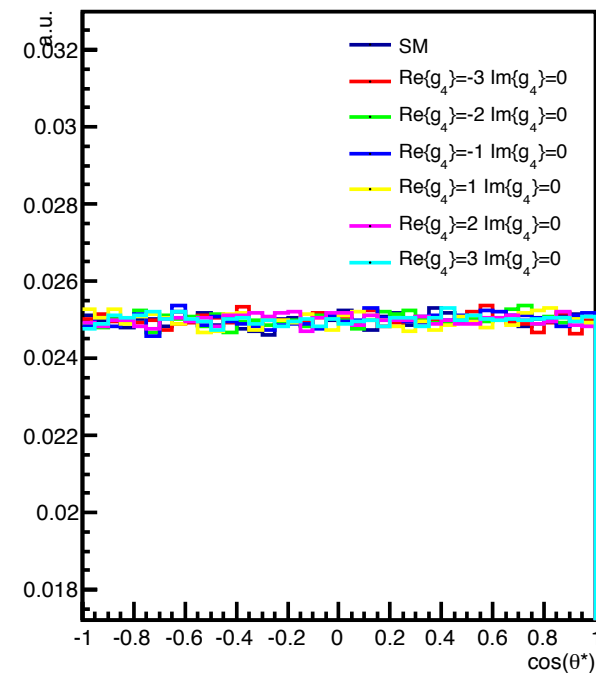
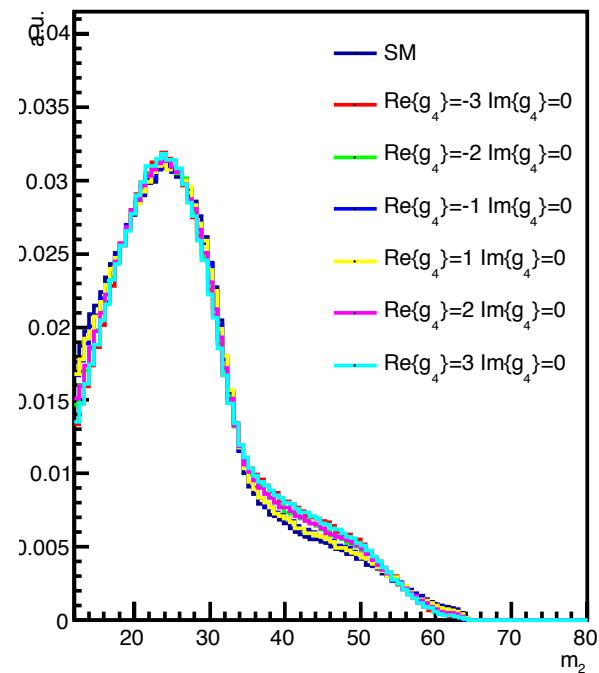
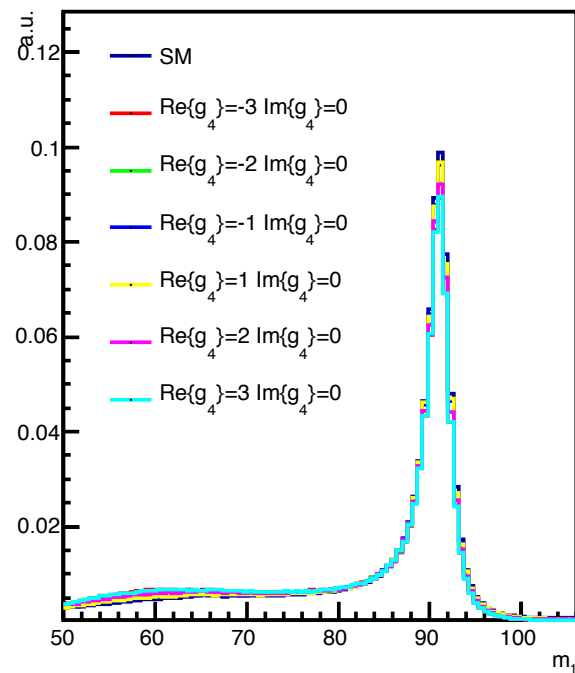
shape systematics

- wrong-pairing: very small with new selection
- ESS: negligible effect on JP-MELA shapes
- reducible background shape parametrization: from variations in the multi-gaussian adaptive KDE models + variations related to the available data-driven statistics

all systematics taken as not correlated between 2011 and 2012

- with the exception of reducible background (same sample for both years)

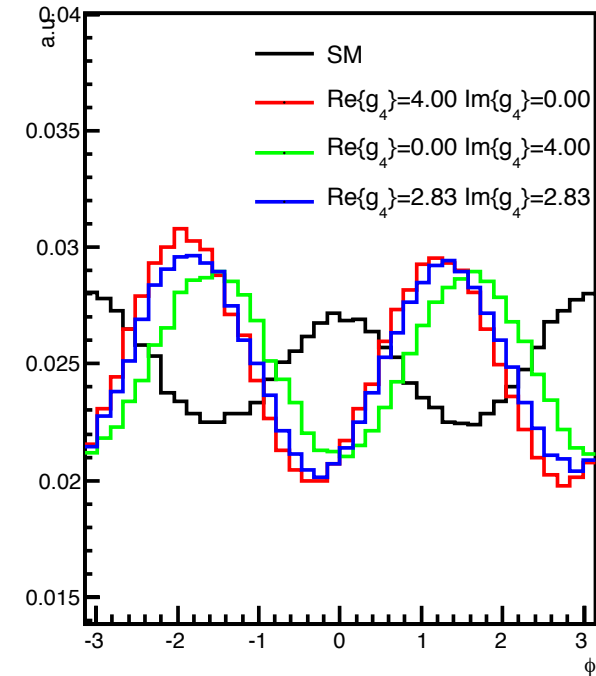
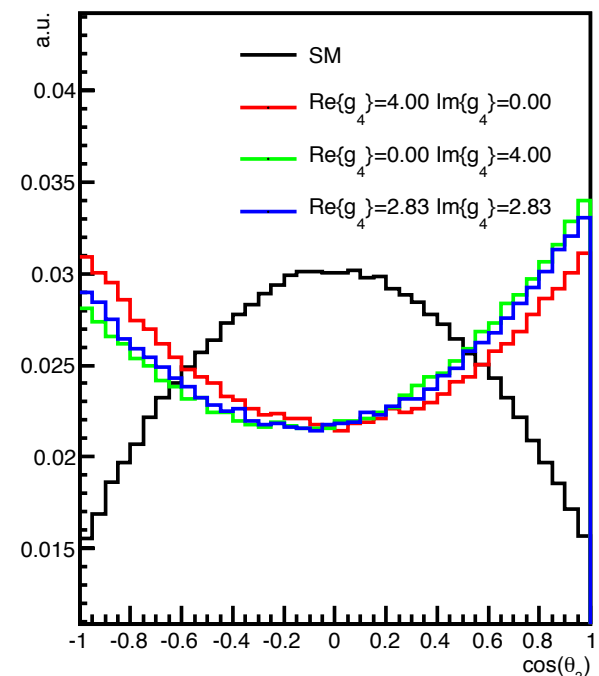
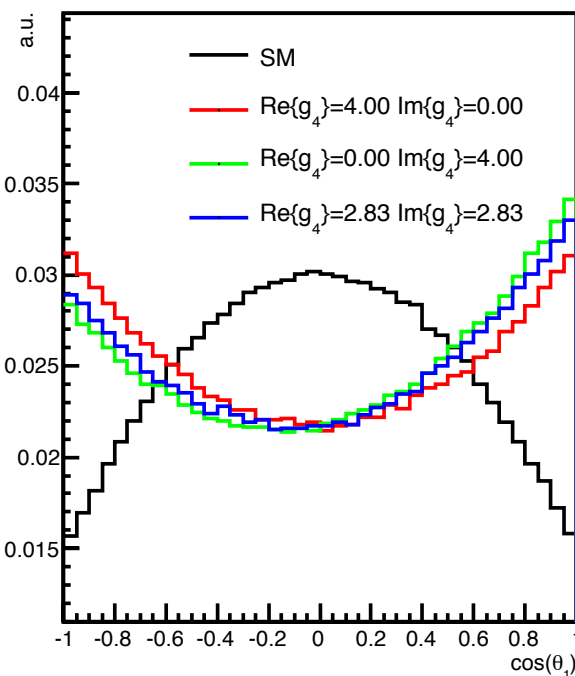
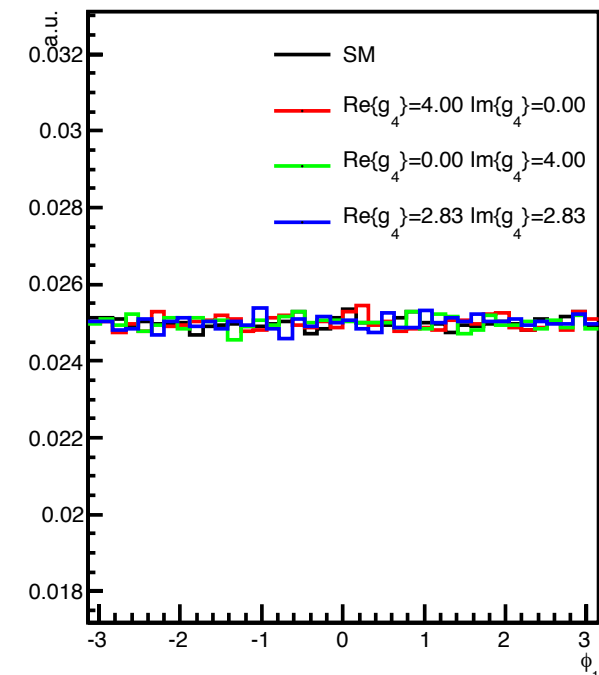
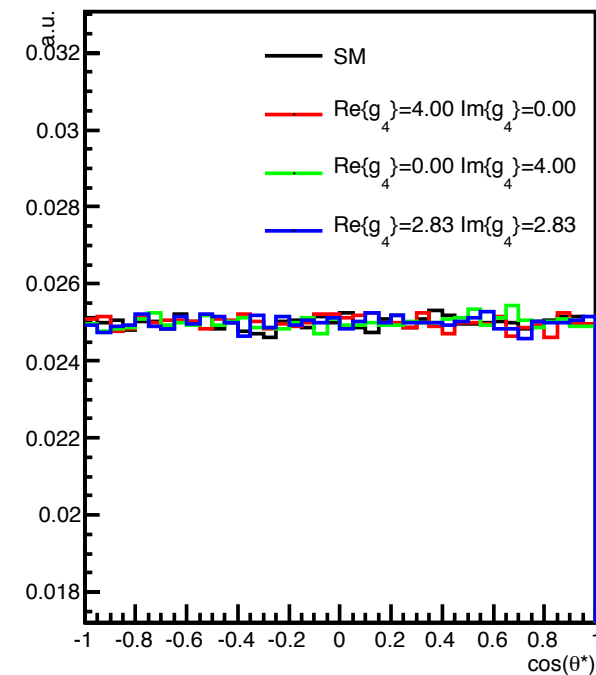
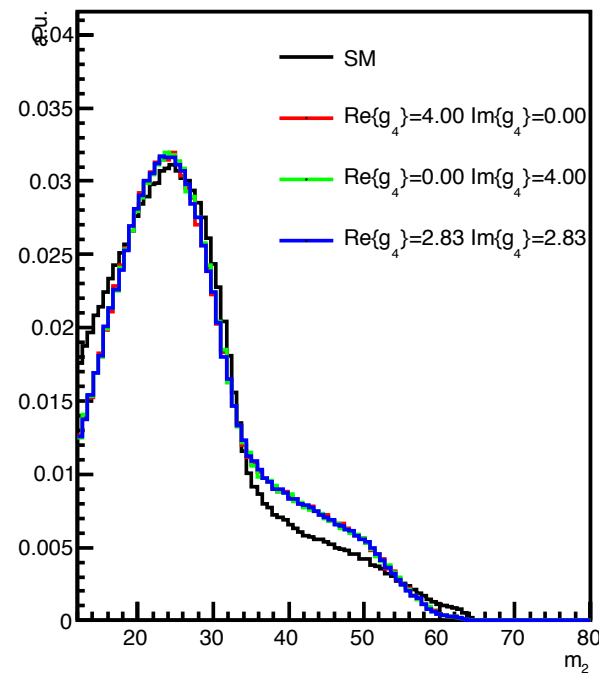
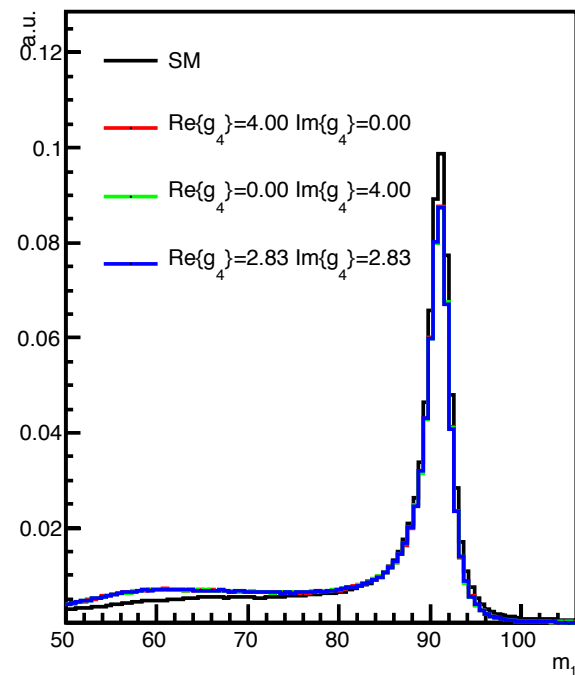
Where does sensitivity come from?



sensitivity on real g_4 comes from:

- * $|g_4|$: mainly $\cos(\theta_1)$ and $\cos(\theta_2)$, a bit from ϕ
- * $\text{sign}(g_4)$: only from ϕ
- * no contribution from other angles or masses as it's a spin zero decay (but they help against background)

Where does sensitivity come from?



sensitivity on complex g_4 is basically on $|g_4|$

* here you see $|g_4| = 4$
($g_4=4+0i, 0+4i, 4/\sqrt{2} \cdot (1+i)$)

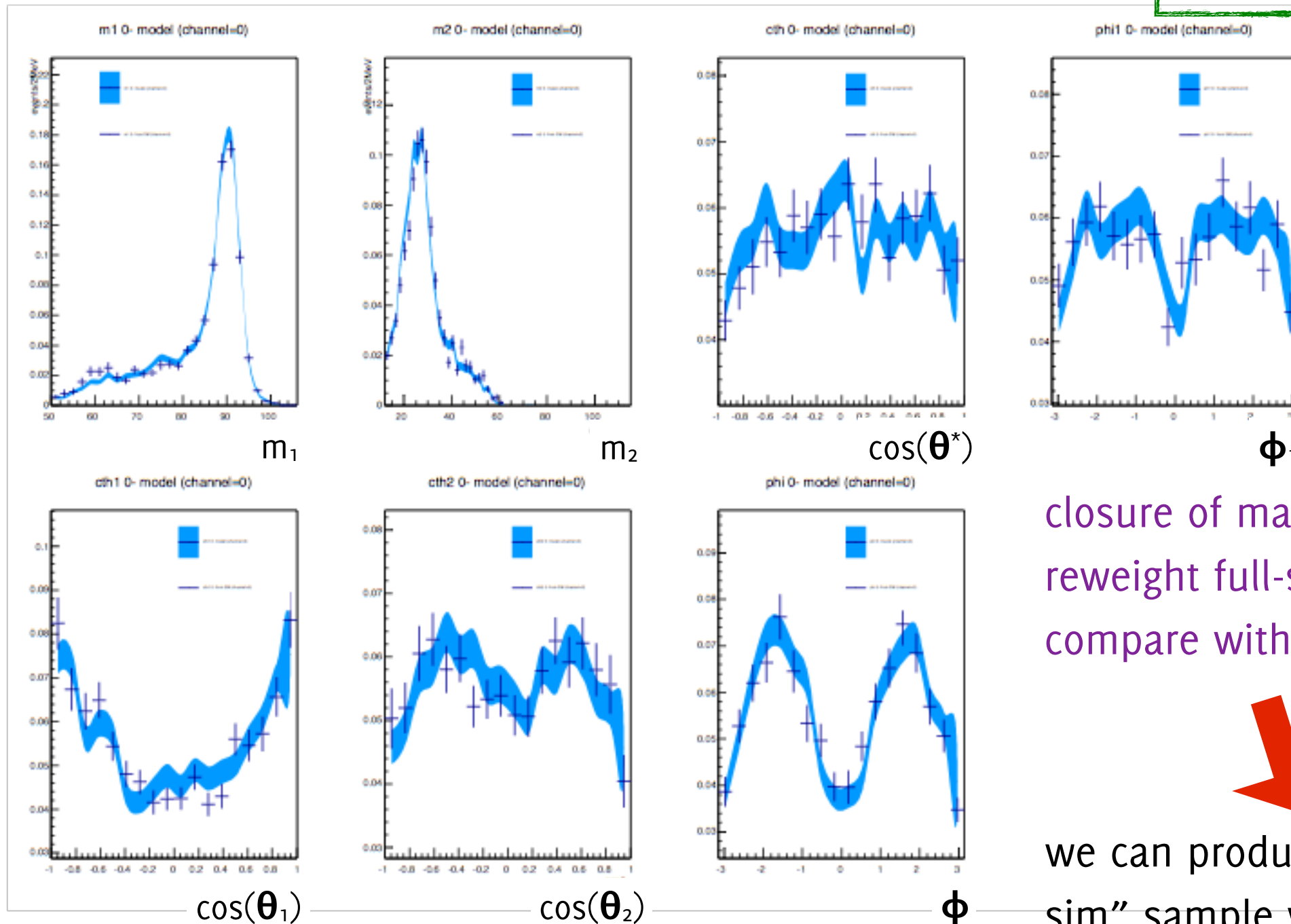
* some separation recovered from $\cos(\theta_1)$, $\cos(\theta_2)$ (asymmetry), ϕ and m_2

Reweighting samples

$$\sigma^+ \times p(\sigma^-)/p(\sigma^+)$$

full-sim σ^-

$H \rightarrow ZZ^* \rightarrow 4\mu$



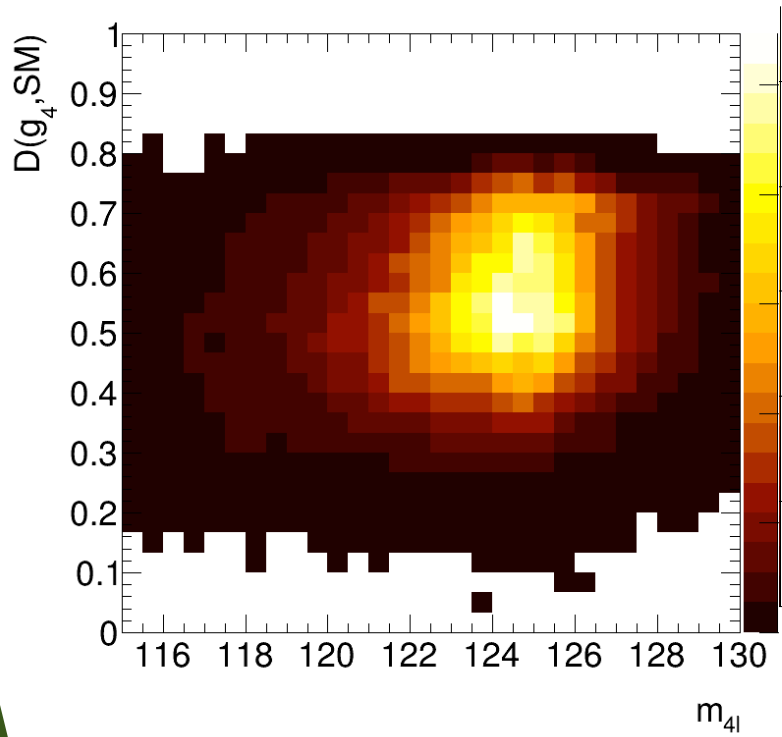
closure of matrix element:
reweight full-sim σ^+ to σ^- and
compare with full-sim σ^-



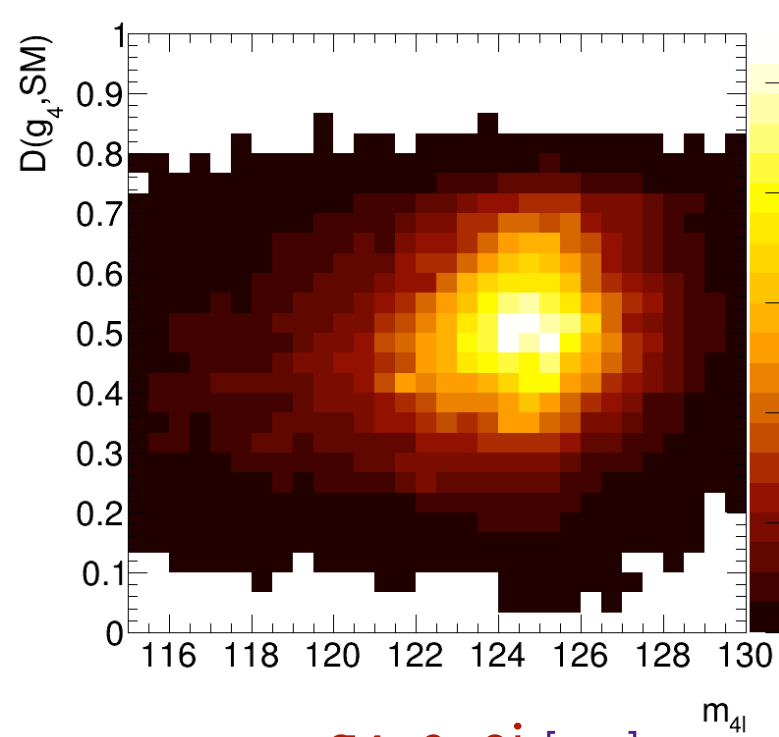
we can produce any “full-sim” sample with $g_4 \neq 0$ starting from the SM sample

2D discriminant

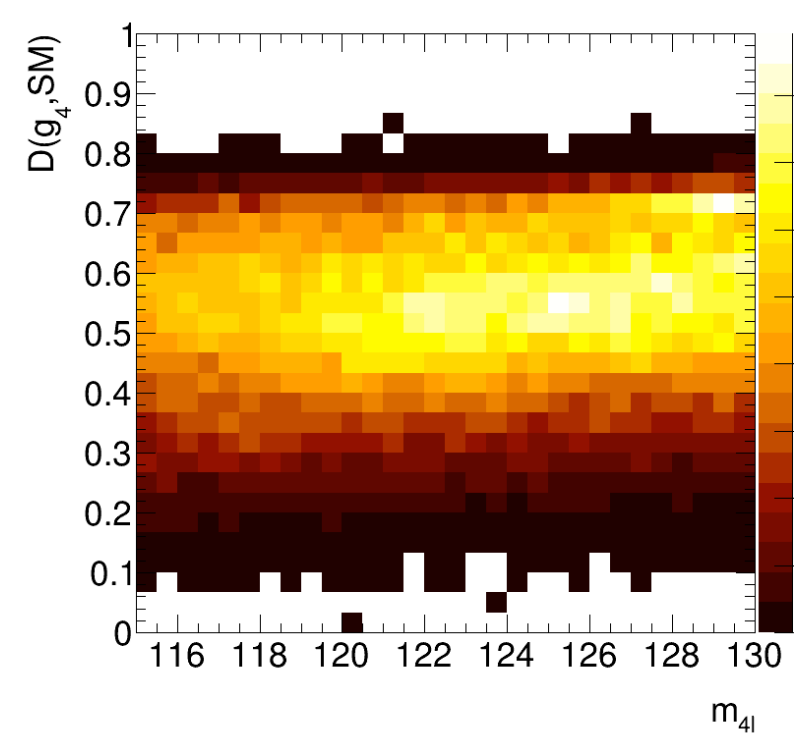
SM



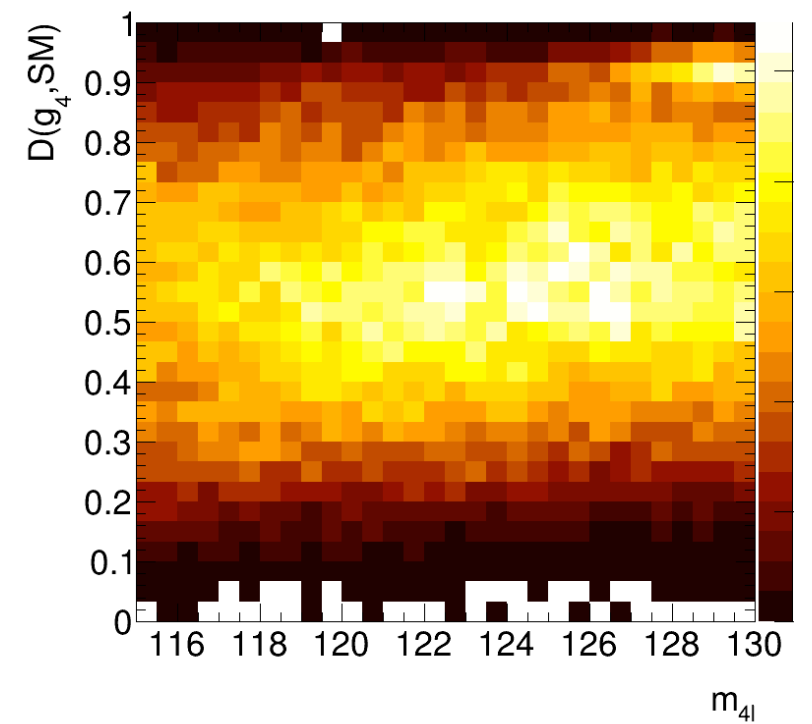
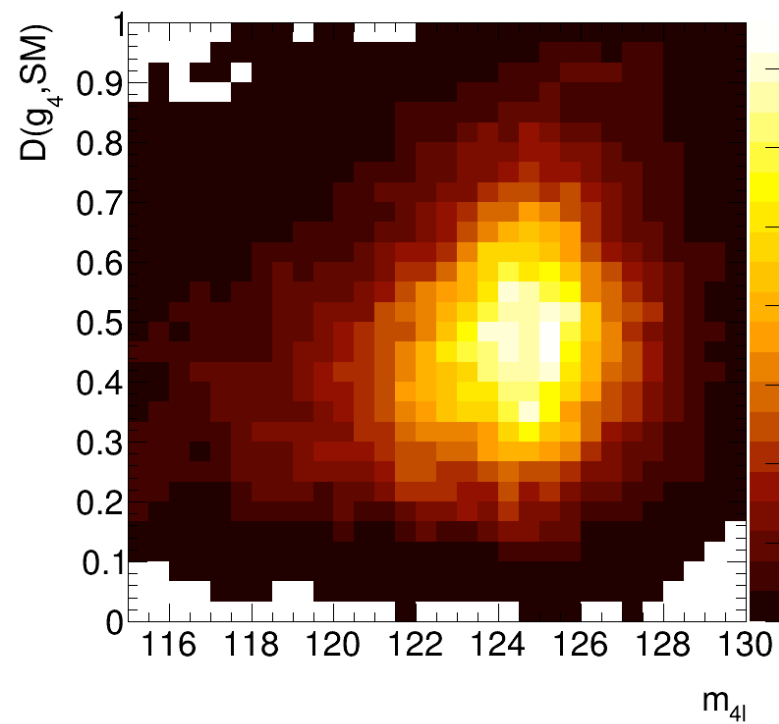
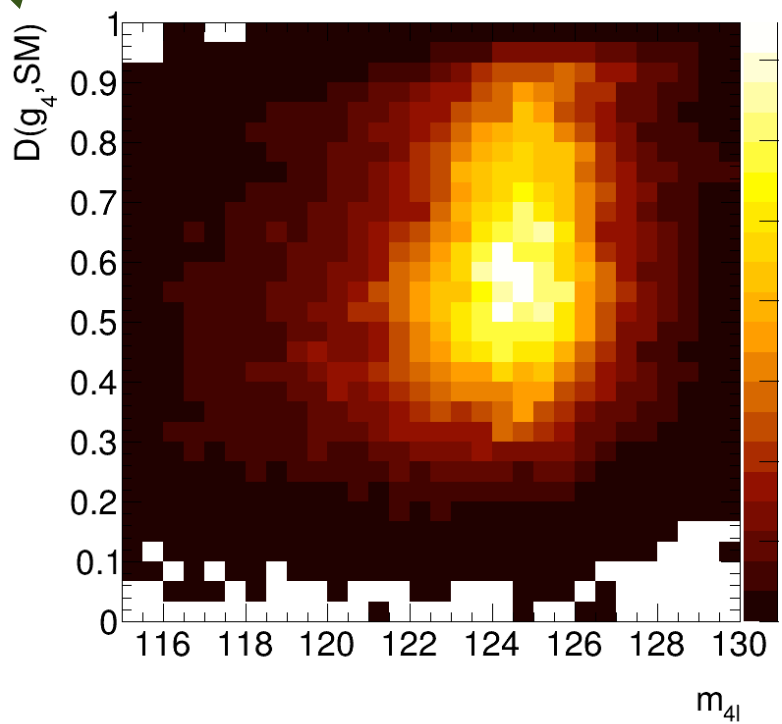
$g_4=3+0i$



ZZ bkg



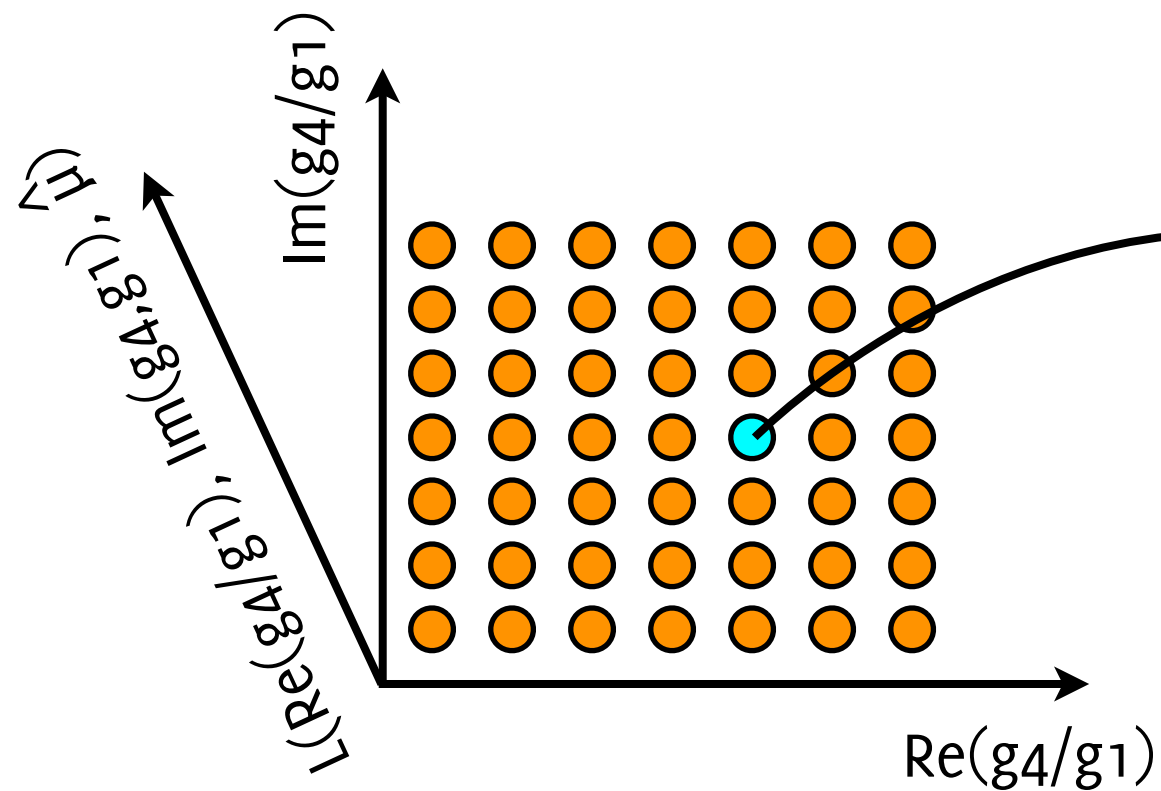
$g_4=9+0i$ [~ 0]



different!

2D: statistical approach

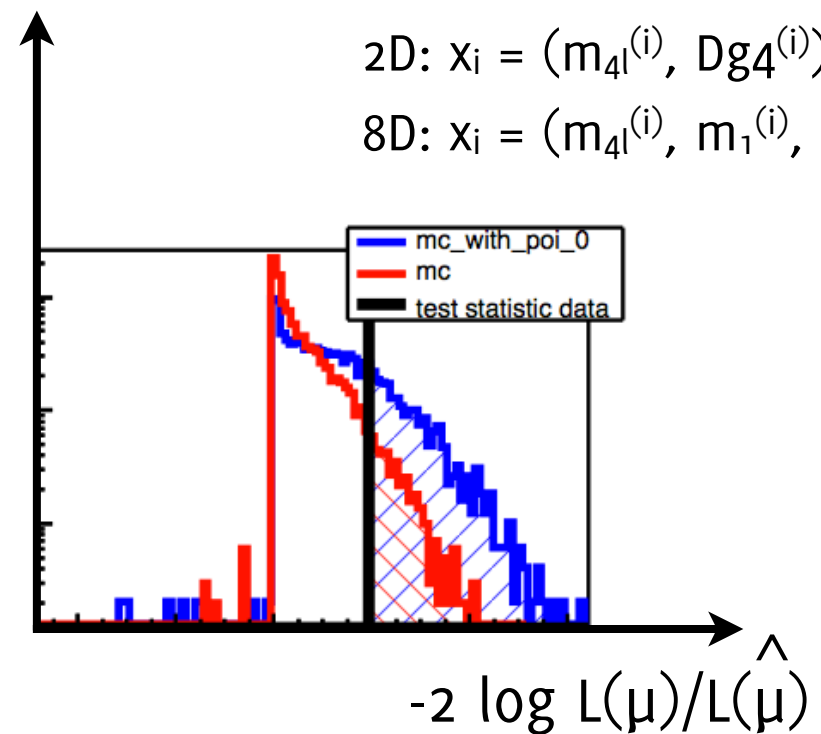
we assume SM and explore sensitivity in the complex plane g_4/g_1 (g_2/g_1)



$$L(\mu) = \text{Pois}(N, \mu N_s + N_b) \sum_{i=1}^N (f_s p(x_i | g_1, g_2, g_4) + f_b p_B(x_i))$$

$$2\text{D: } x_i = (m_{4l}^{(i)}, Dg_4^{(i)})$$

$$8\text{D: } x_i = (m_{4l}^{(i)}, m_1^{(i)}, m_2^{(i)}, e^{(i)})$$



full information on g_4 (g_2) is obtained
with a scan of the complex plane g_4/g_1 (g_2/g_1)

approach similar to Higgs search vs m_H

Compatibility 2D vs 8D

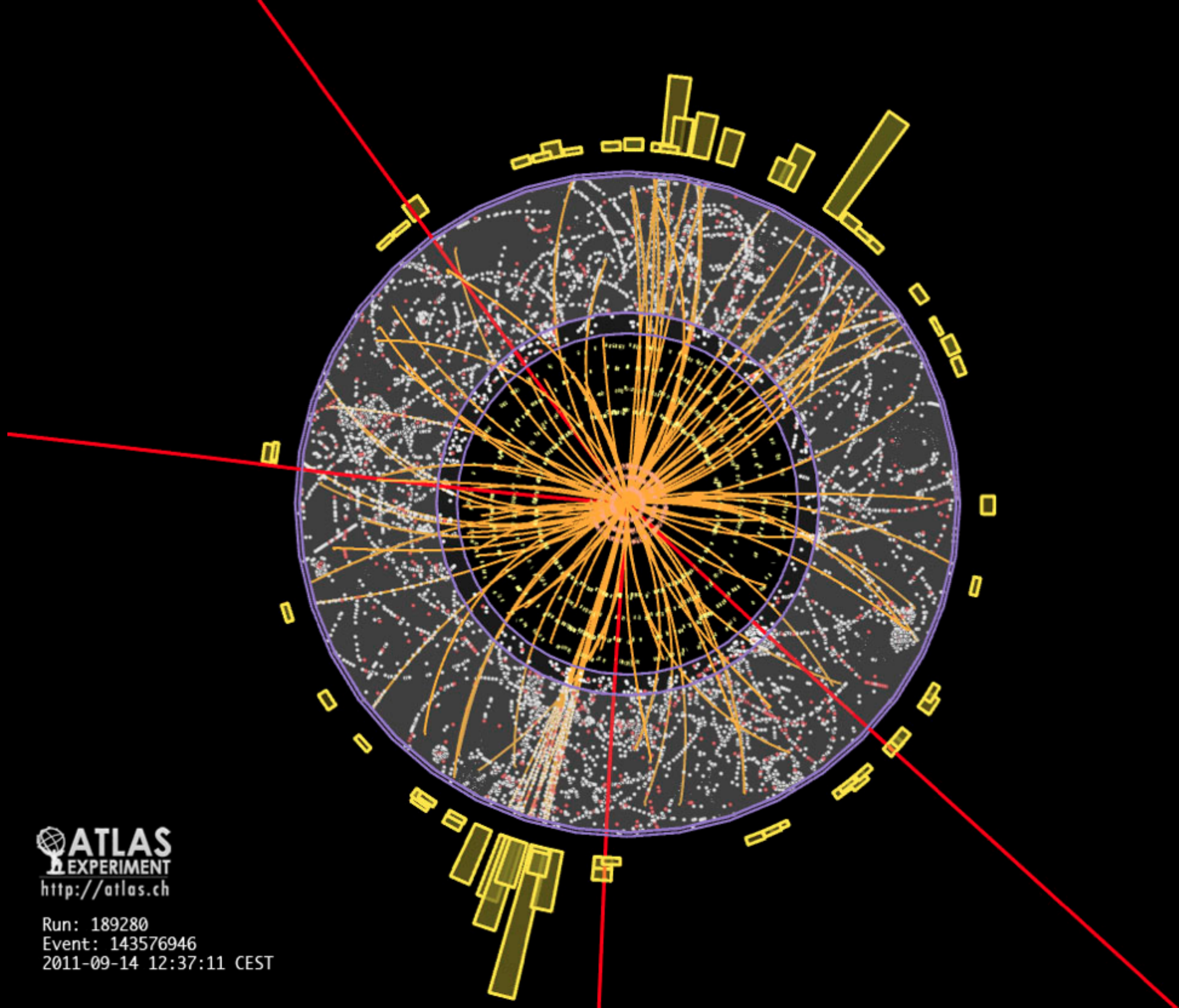
2D	Luminosity (fb^{-1})	f_{g_4}	f_{g_2}
	300	0.12	0.34
	3000	0.04	0.15

8D	Luminosity (fb^{-1})	f_{g_4}	f_{g_2}
	300	0.20	0.29
	3000	0.06	0.12

compatible within granularity of the scan
in the f_{g_i} vs $\text{Arg}(g_i)$ plane ($\sim 0.02 \times 0.02$)

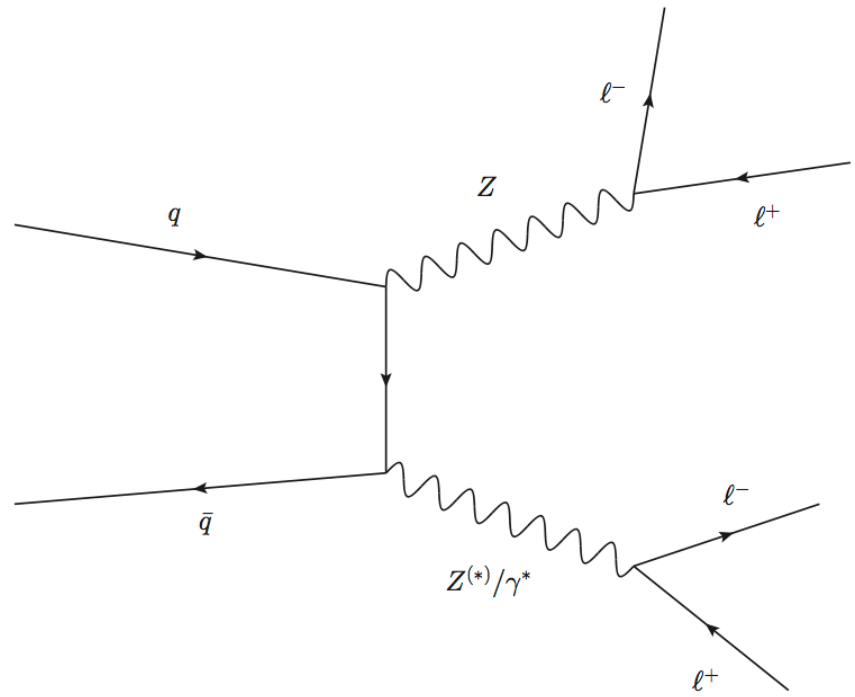
Conclusions

- ▶ discovery
 - ▶ looking for a low mass Higgs boson
 - ▶ how we improved sensitivity
 - ▶ a new particle has been found
- ▶ is it the Standard Model Higgs boson?
 - ▶ J^P -MELA discriminant: exploit final state kinematics
 - ▶ spin-parity studies: excluded 0^- , 1^+ , 1^- , 2^+ against SM 0^+
 - ▶ ... enough for 2013 EPS Prize and for the Nobel Prize in Physics!
- ▶ is it really the Standard Model Higgs boson?
 - ▶ probing the HZZ vertex: 8D and 2D matrix-element techniques
 - ▶ projections for high luminosity ($300/3000 \text{ fb}^{-1}$): sensitive to 6-20% CPV fraction

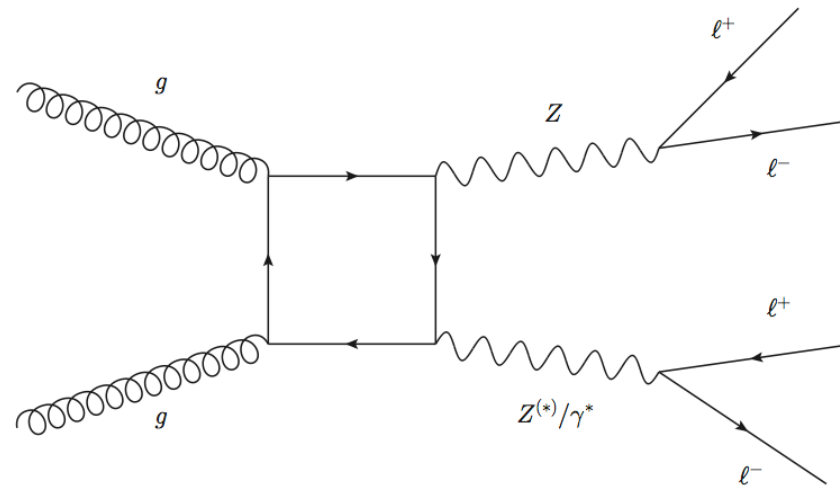


 **ATLAS**
EXPERIMENT
<http://atlas.ch>

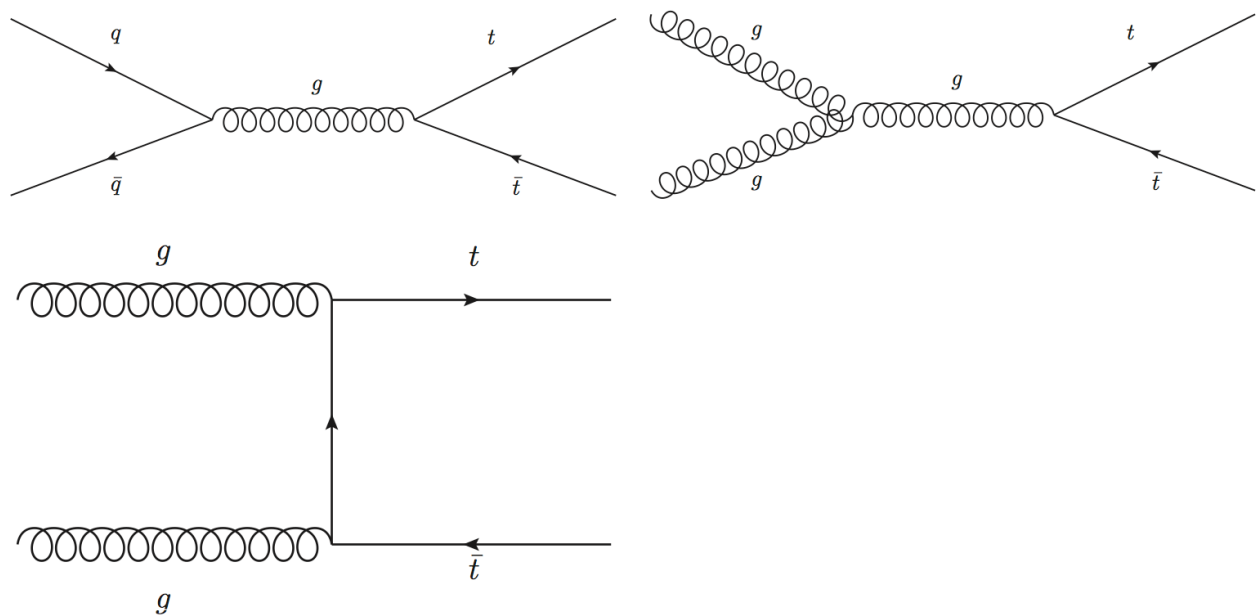
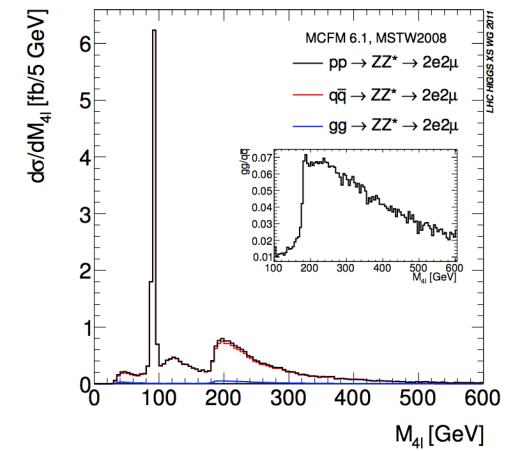
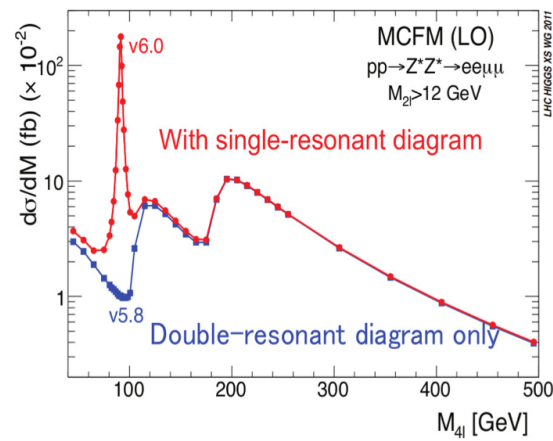
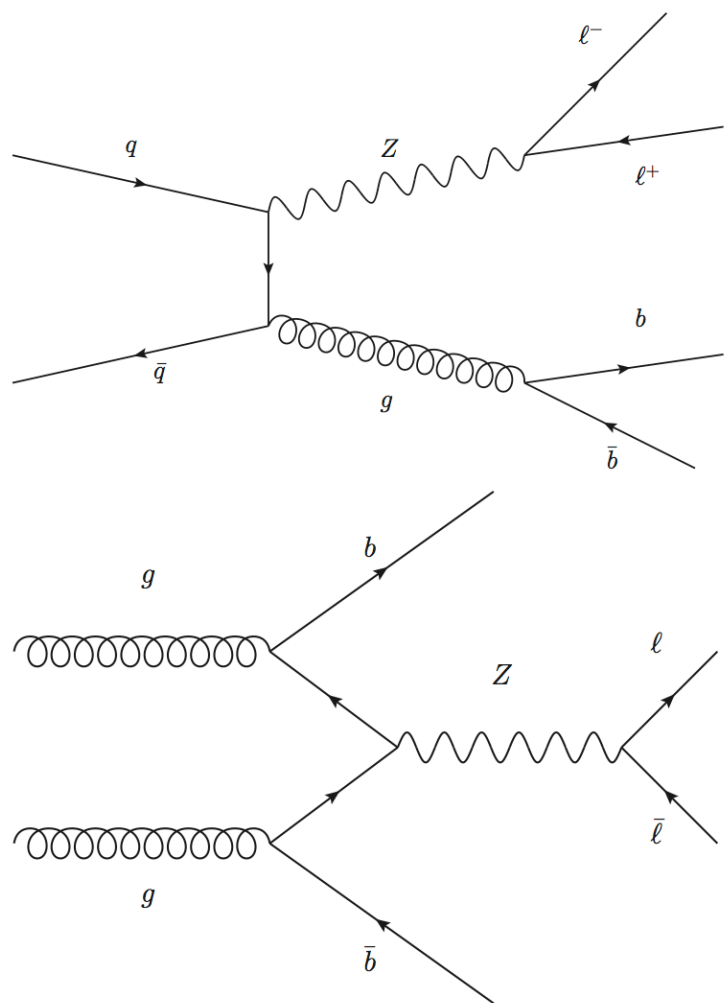
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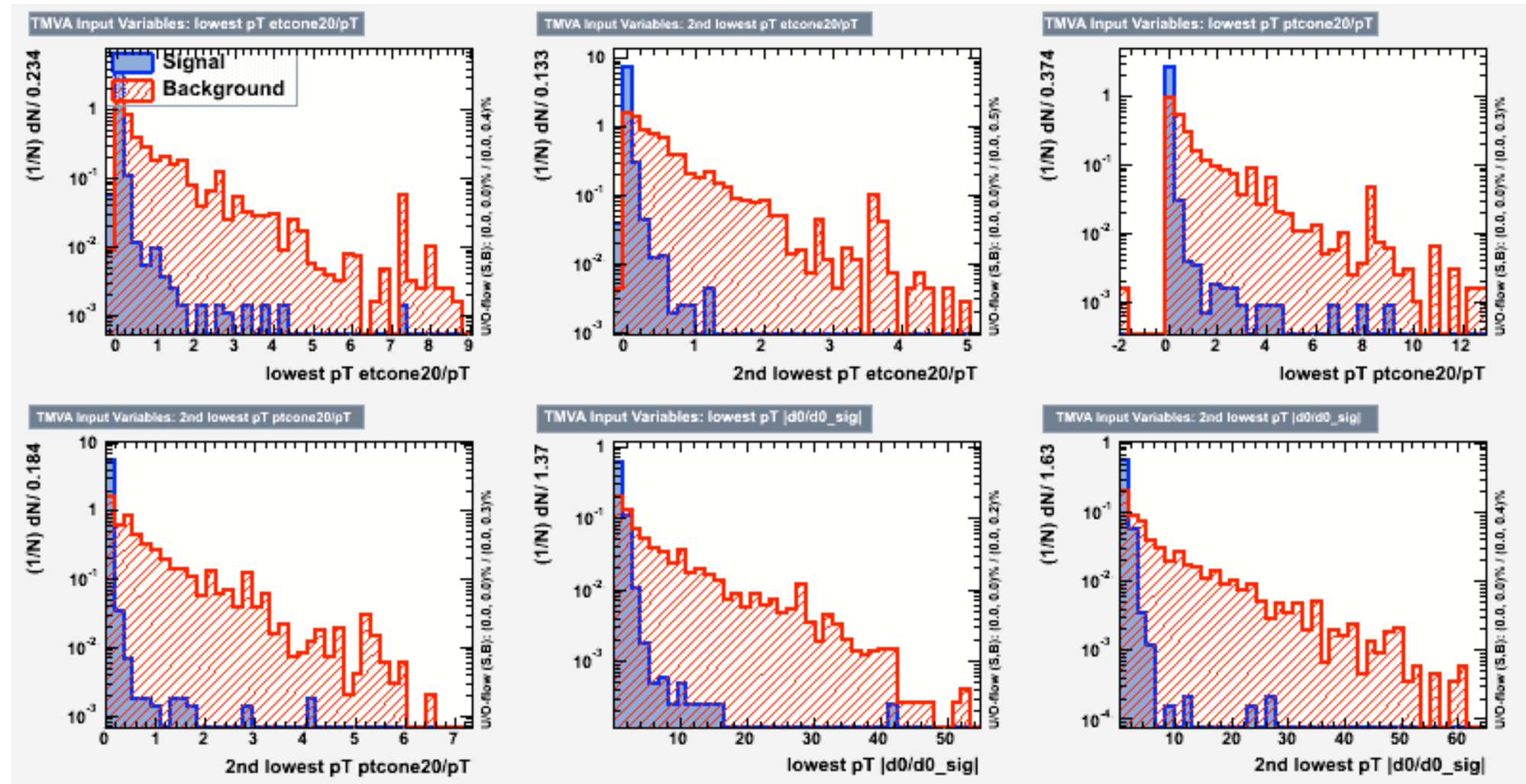
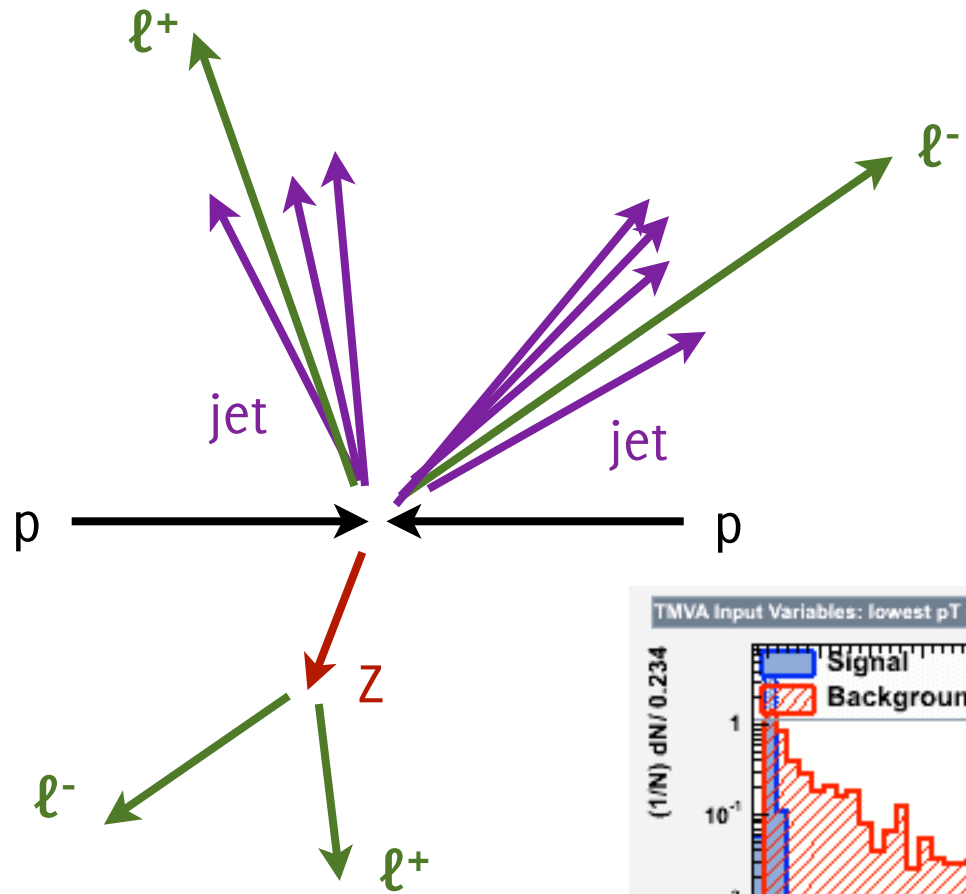
(a) $qq \rightarrow ZZ$



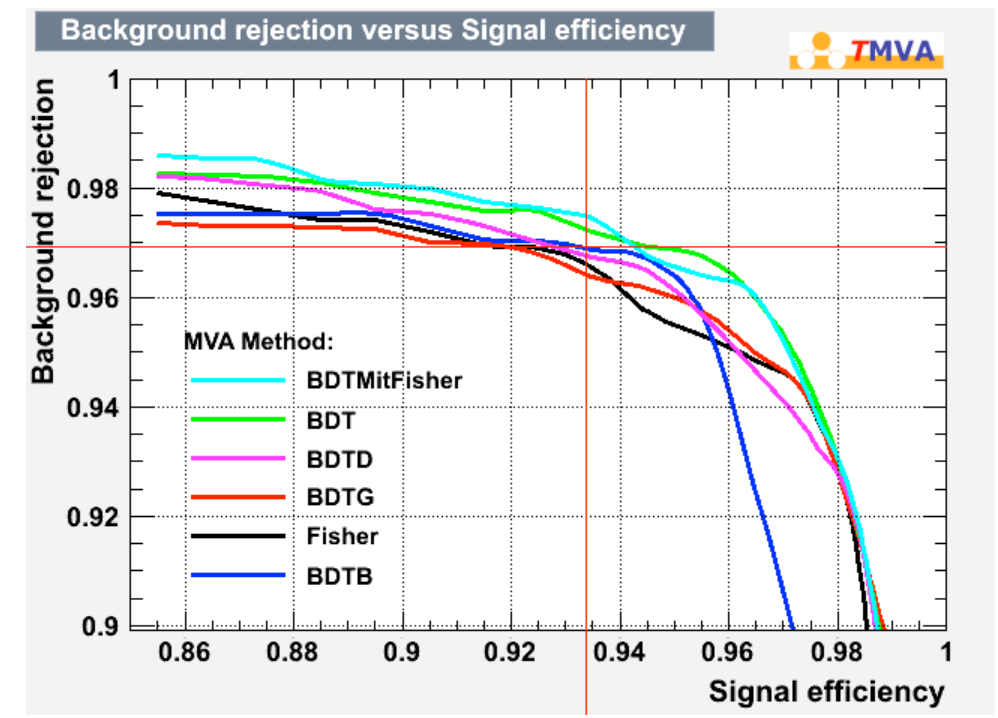
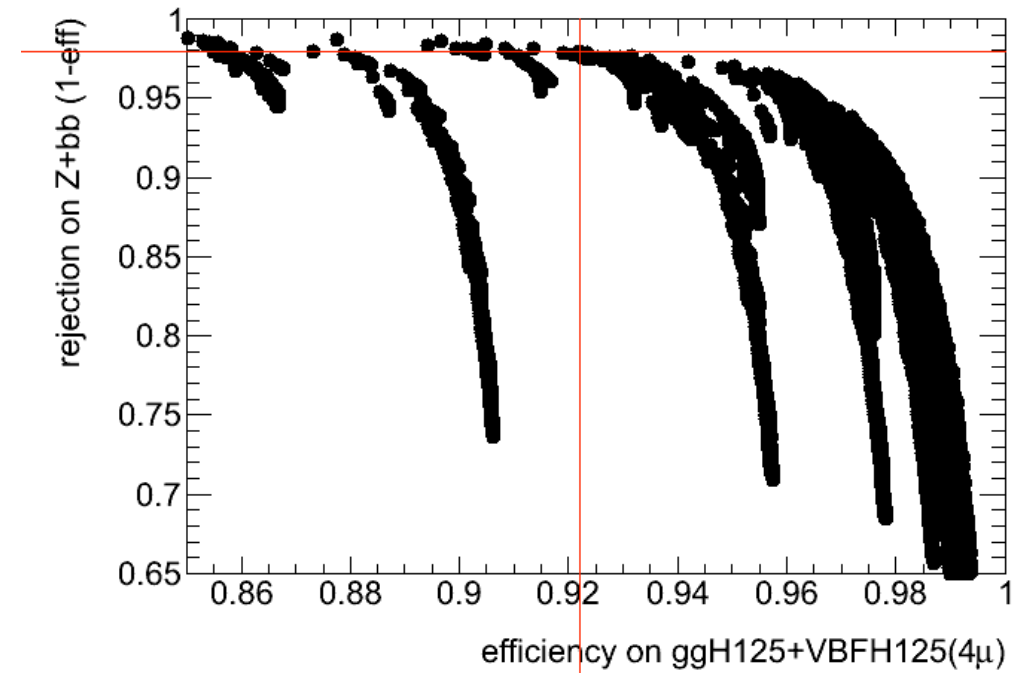
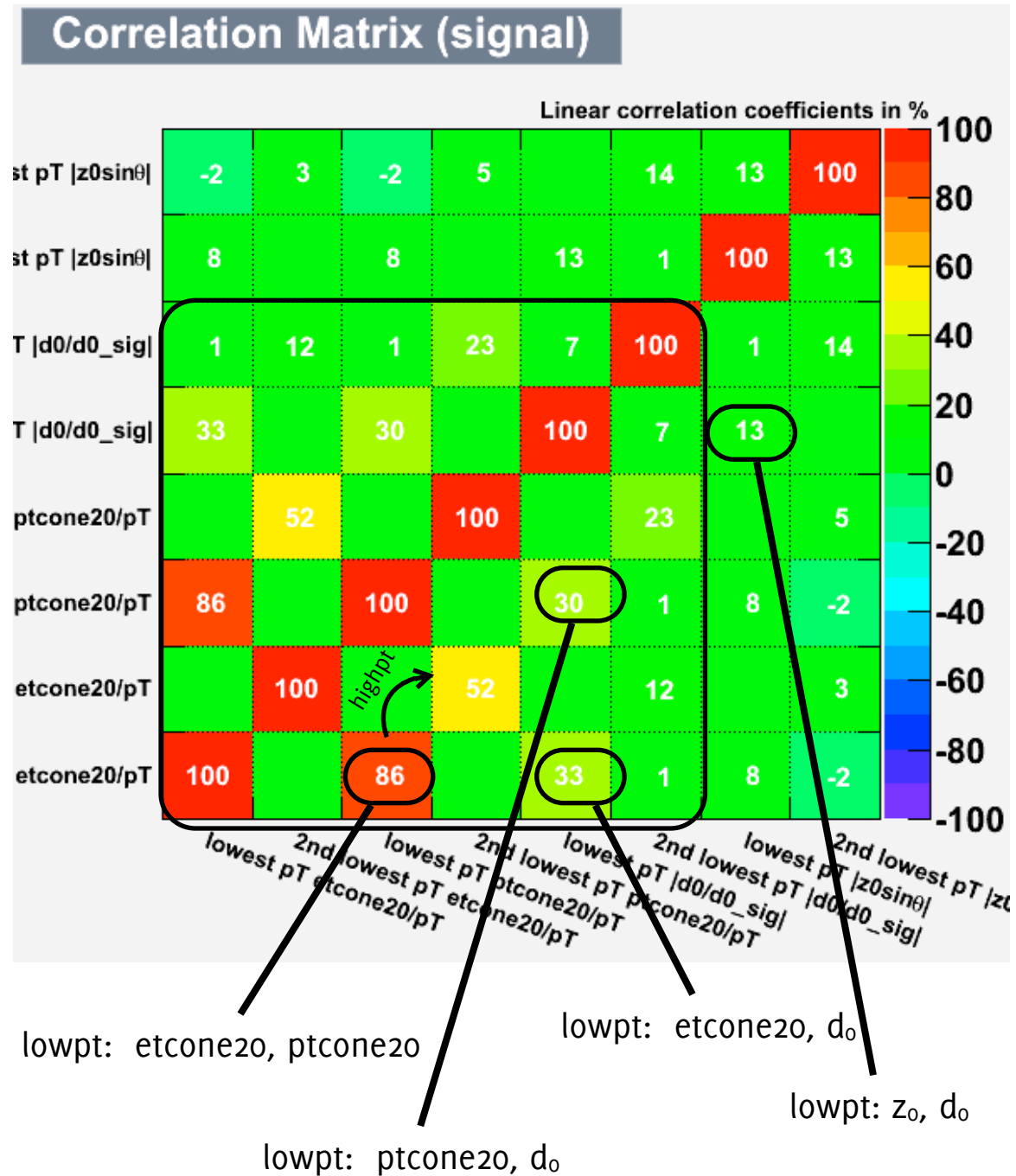
(b) $gg \rightarrow ZZ$



Reducing the Reducible

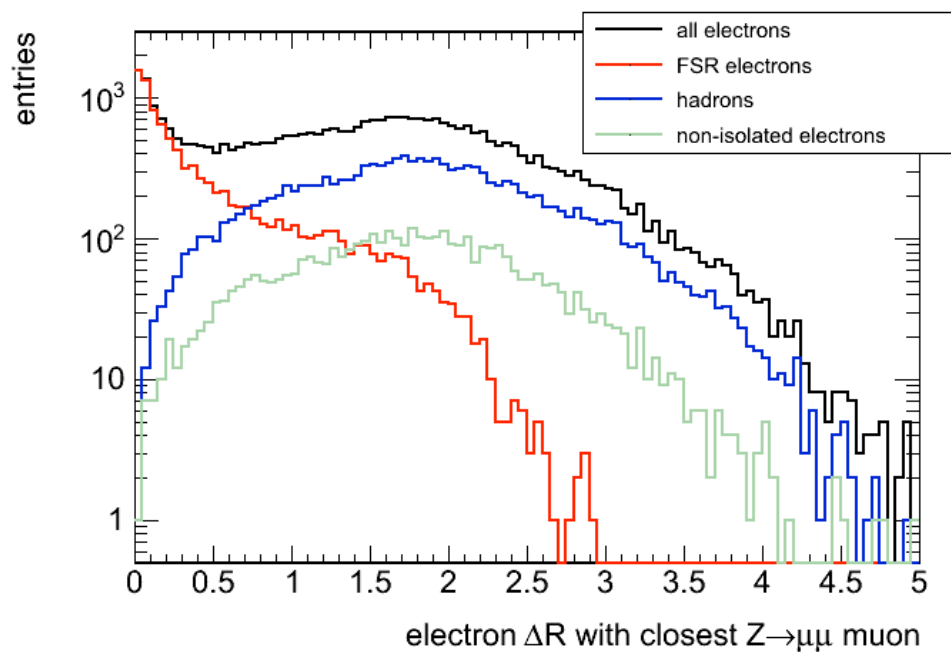


Reducing the Reducible



FSR

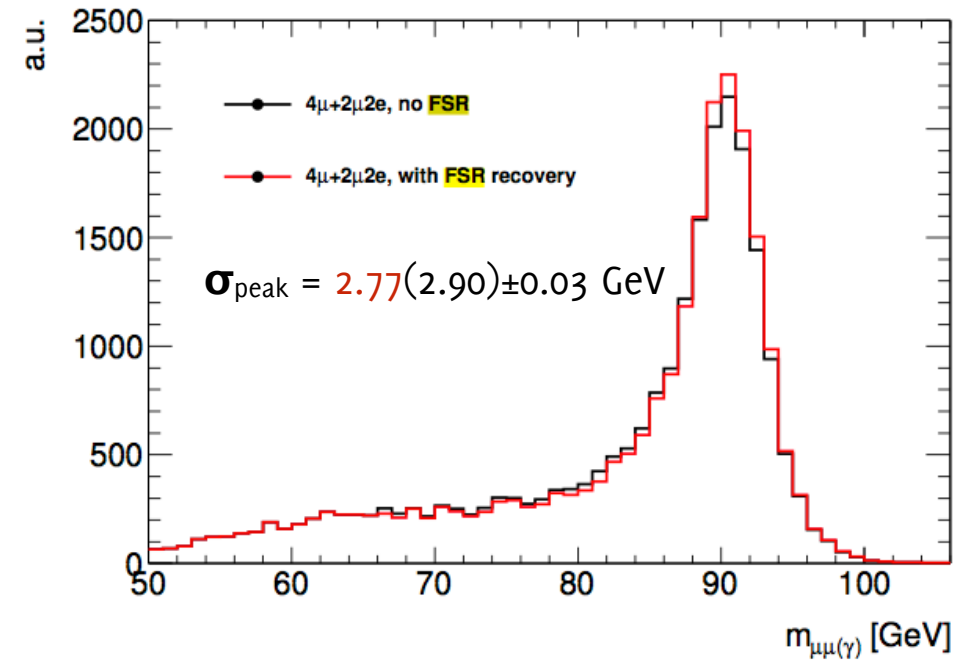
reject electron fakes



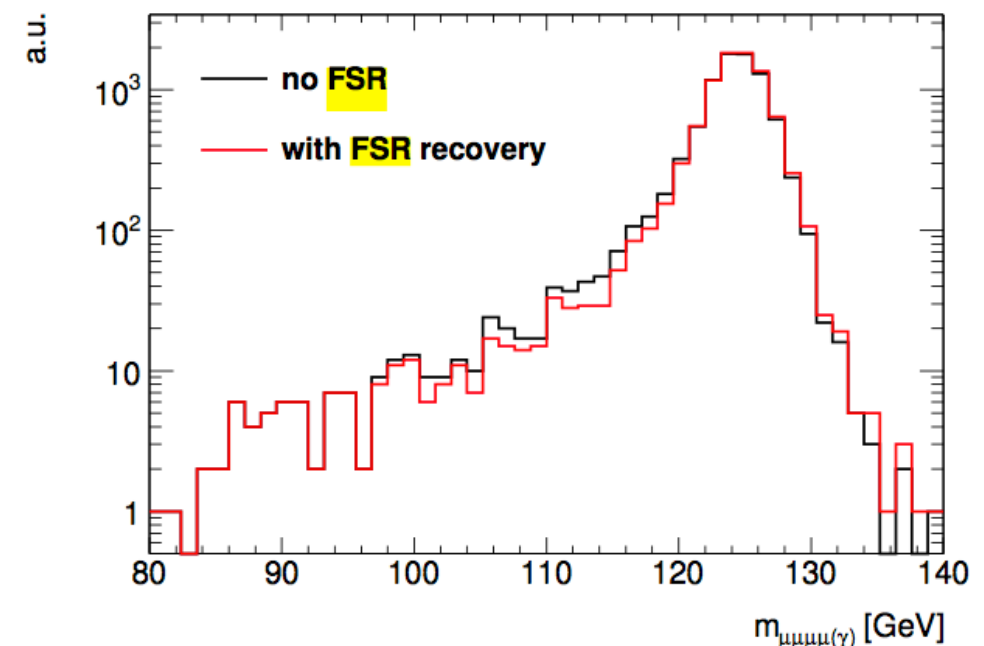
sum back to on-shell $Z_1 \rightarrow \mu\mu$ final states up to a single photon with $E_T > 1$ GeV

4% effect on number of selected events

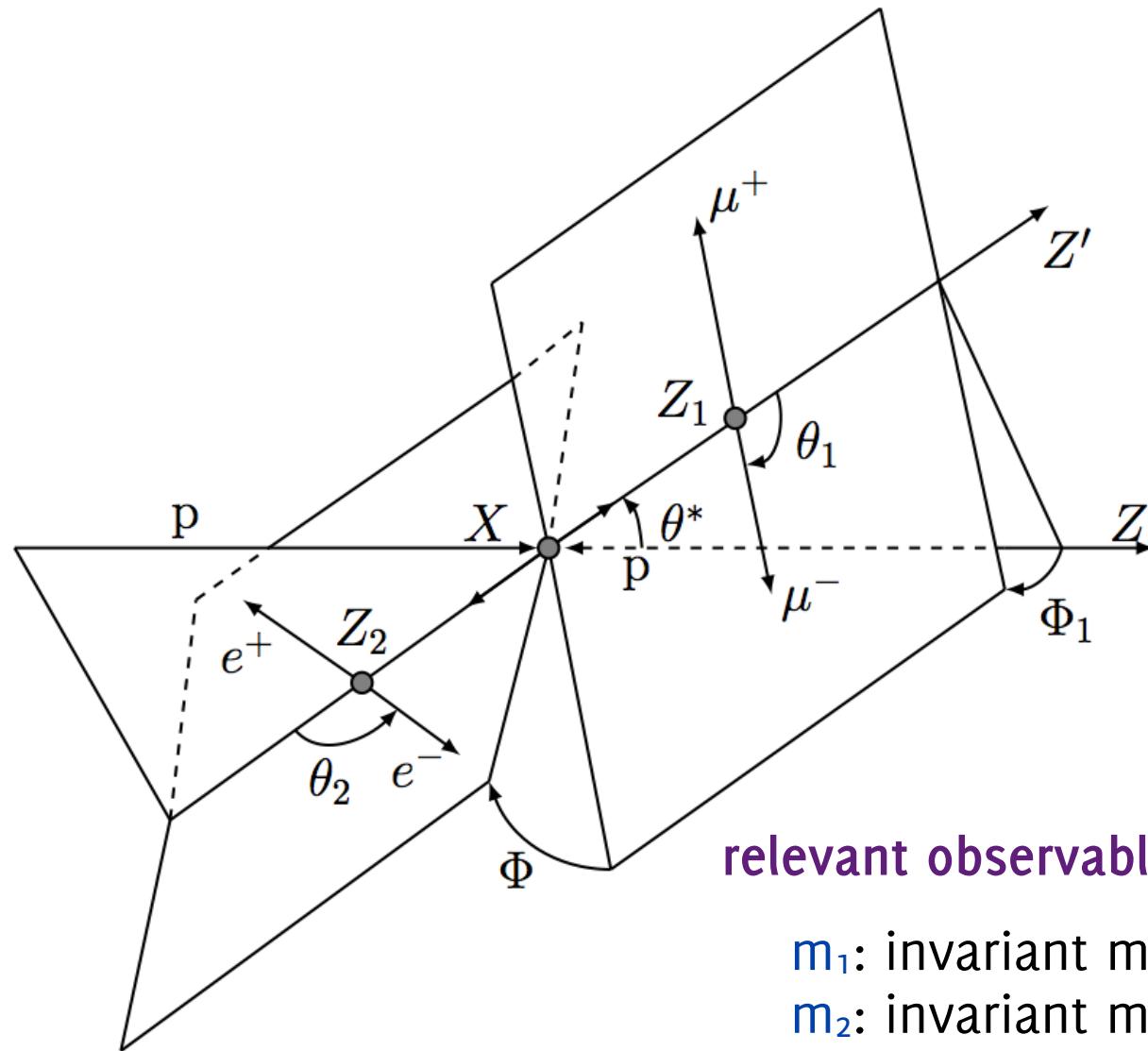
effect on Z peak



effect on H peak



Angular Observables



relevant observables in $H \rightarrow ZZ \rightarrow 4\ell$ J^{PC} analysis (similar for $H \rightarrow WW, \Upsilon\Upsilon$)

m_1 : invariant mass of the on-shell Z (Z_1)

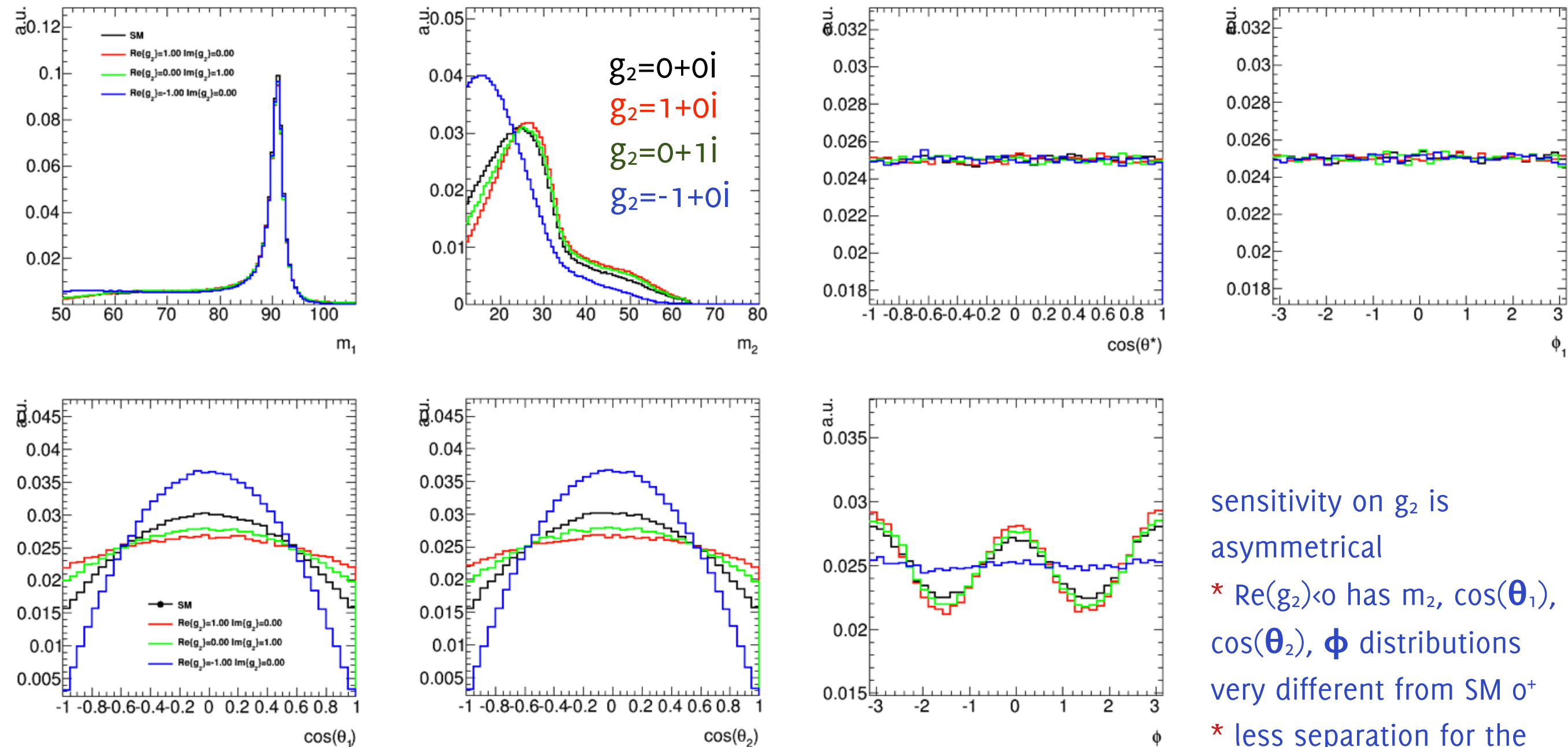
m_2 : invariant mass of the off-shell Z (Z_2)

θ^* : angle, in X reference frame, between Z_1 and beam axis

φ, φ_1 : azimuthal angles, in X reference frame, between X, Z_1 and Z_2 decay planes

θ_i : angle, in Z_i reference frame, between lepton and Z_i flight line

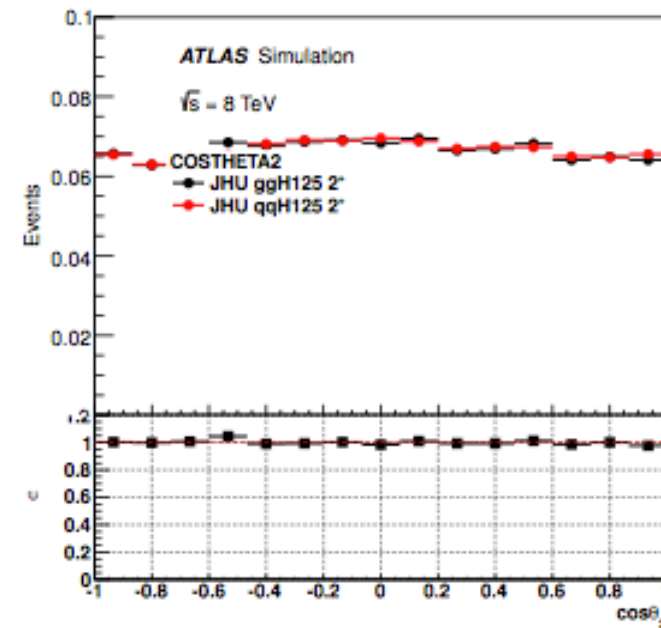
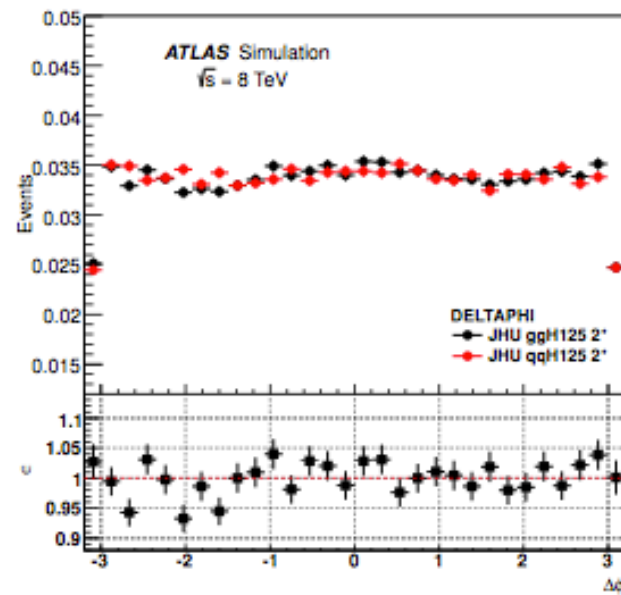
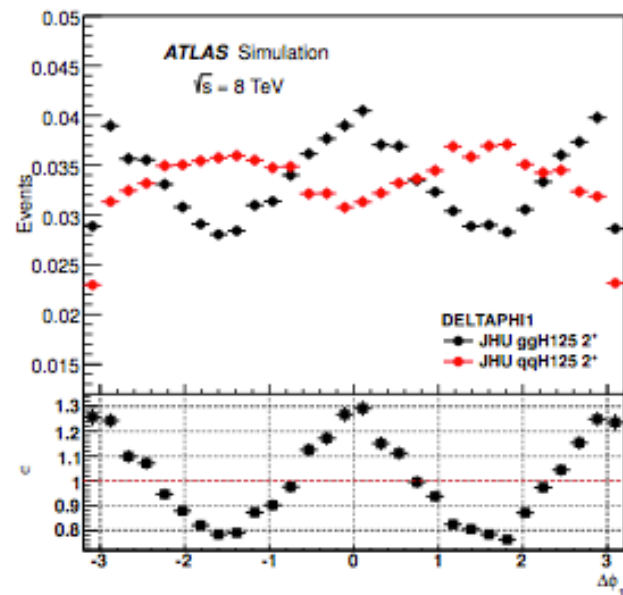
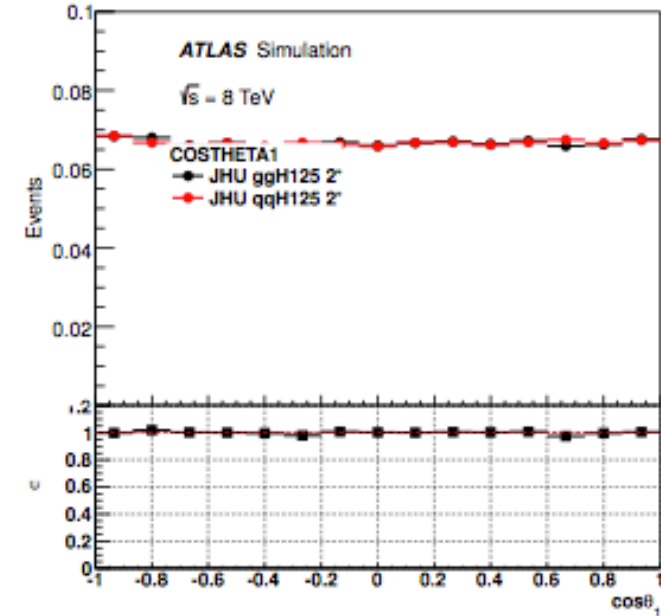
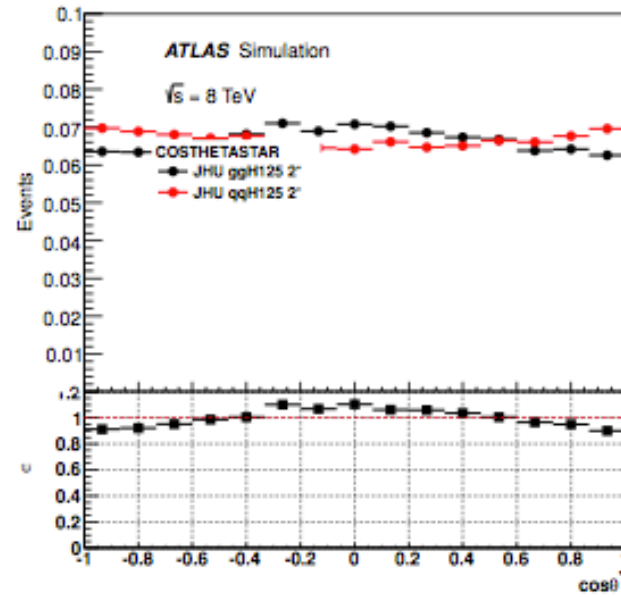
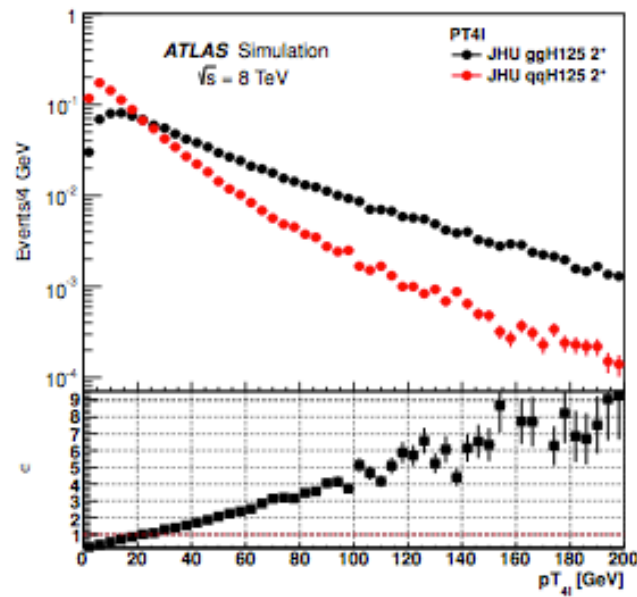
Where does sensitivity come from?



sensitivity on g_2 is asymmetrical

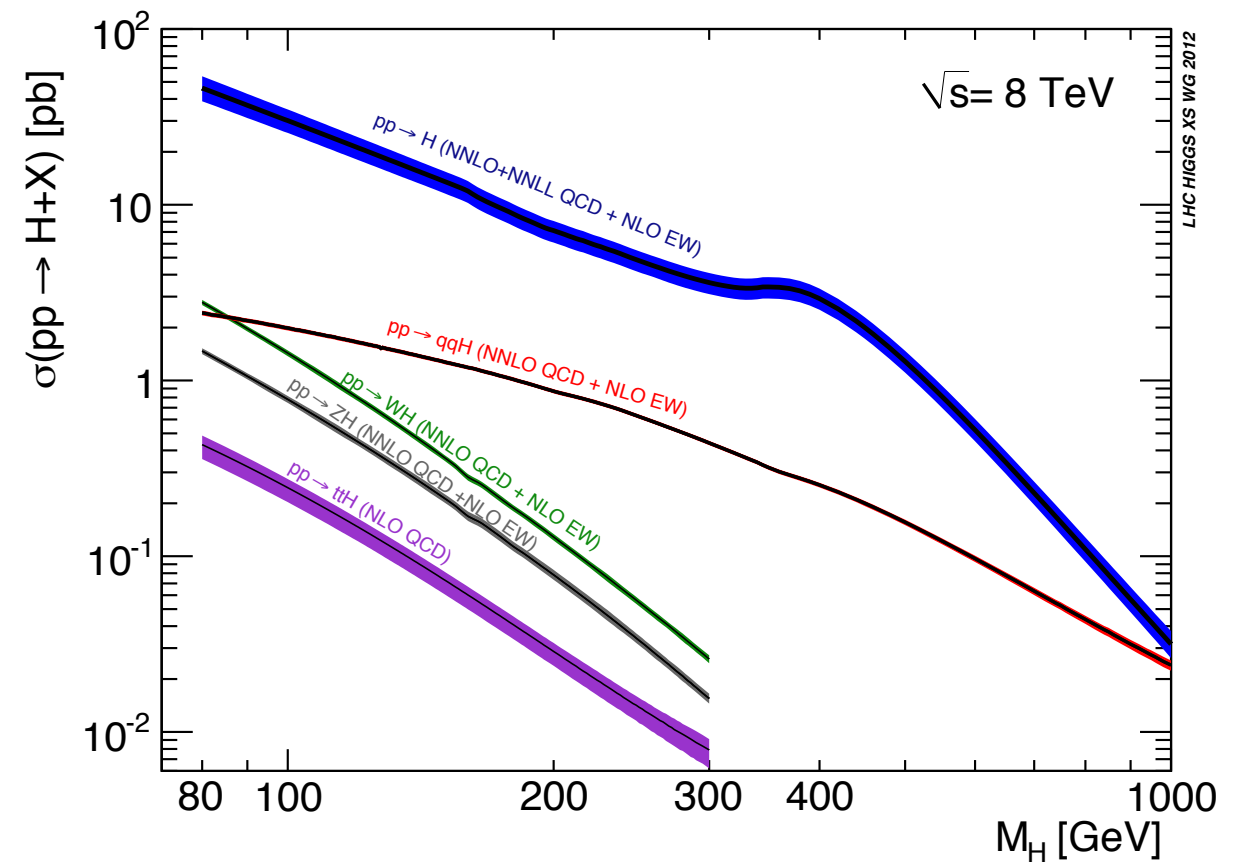
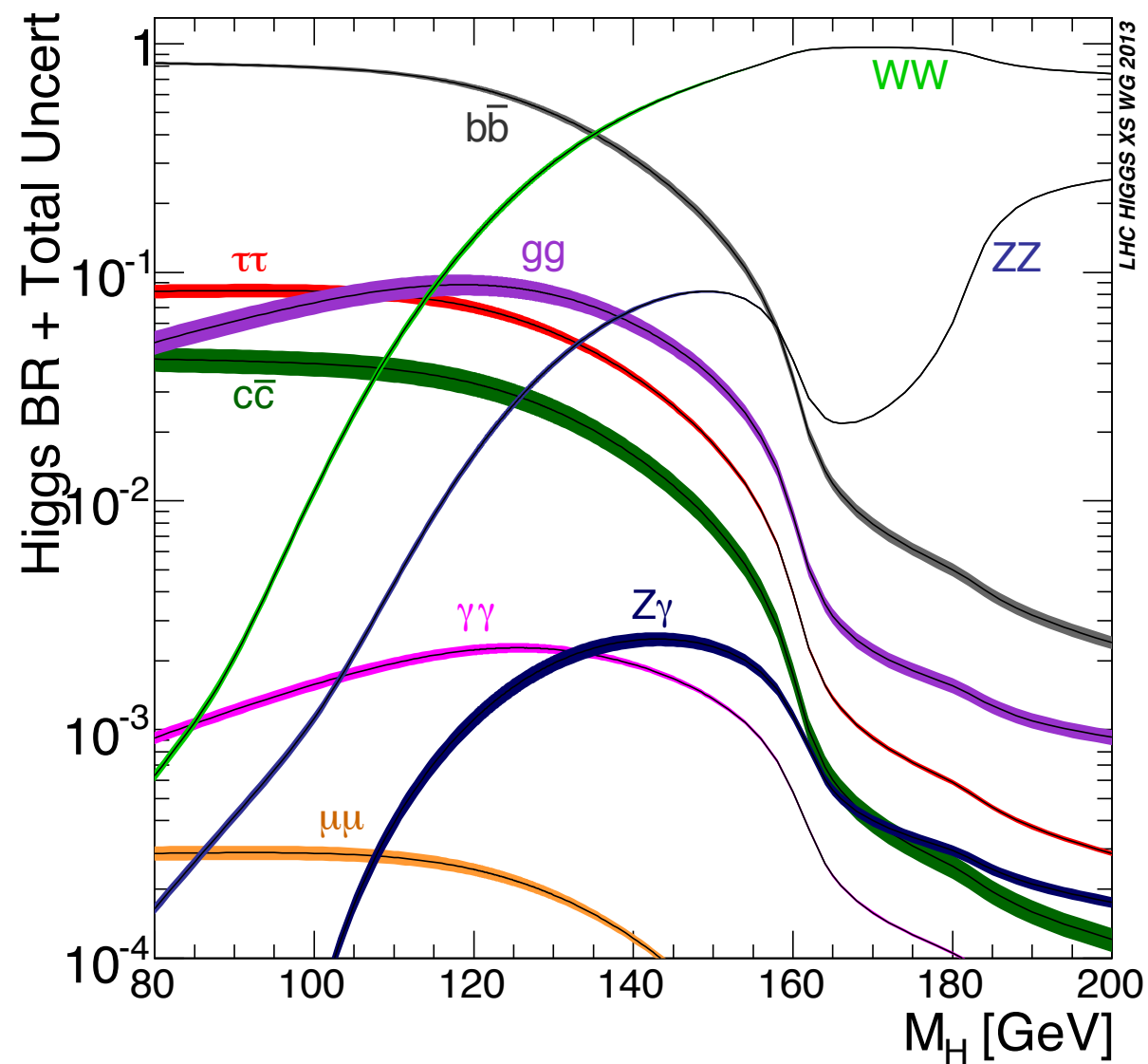
- * $\text{Re}(g_2) < 0$ has m_2 , $\cos(\theta_1)$, $\cos(\theta_2)$, ϕ distributions very different from SM o^+
- * less separation for the other half-plane

Spin 2^+ : gg vs qq



2^+ : qq production yields a softer p_T spectrum

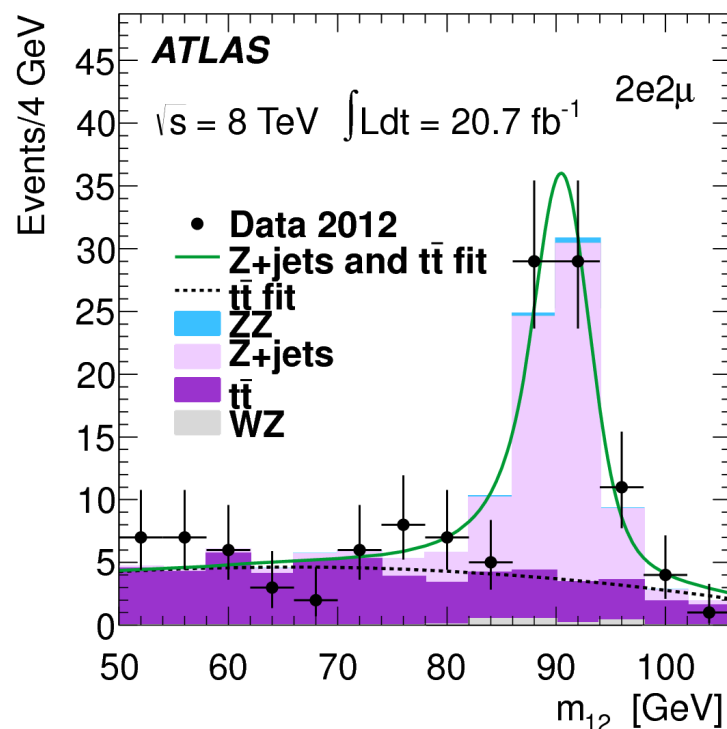
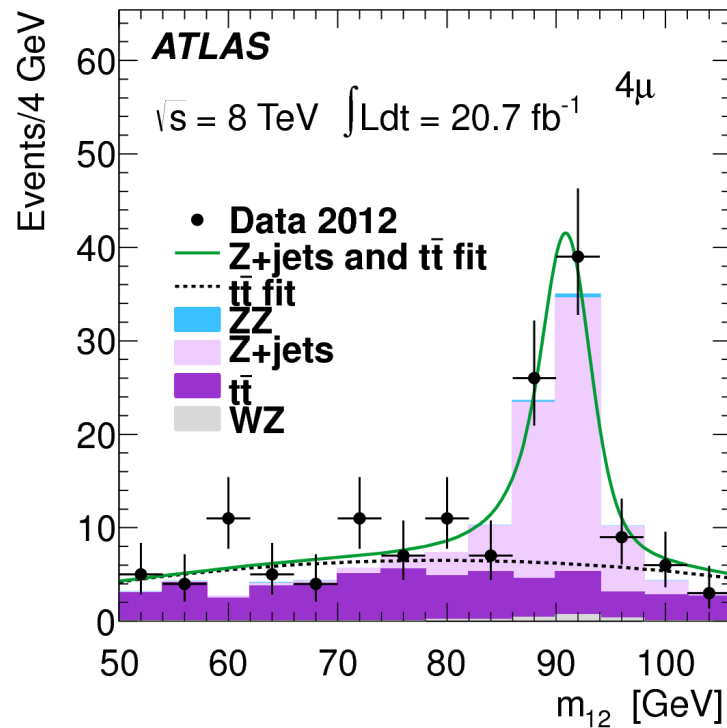
Low mass searches



Signal cross-section

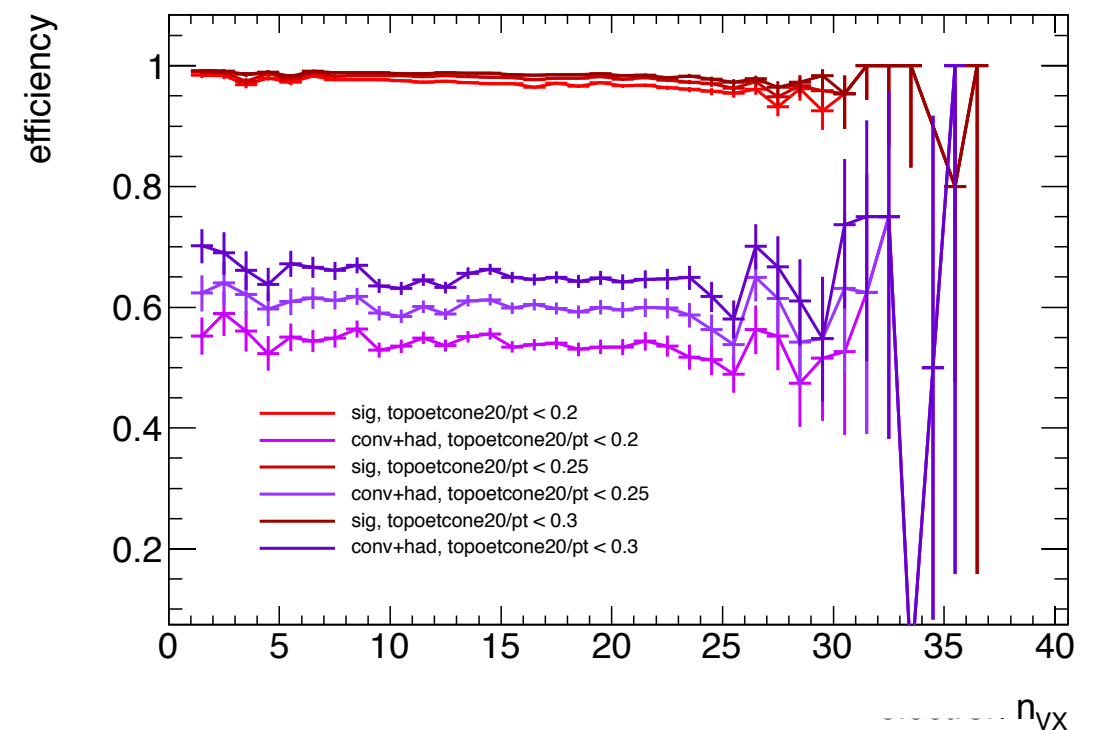
m_H [GeV]	$\sigma(gg \rightarrow H)$ [pb]	$\sigma(qq' \rightarrow Hqq')$ [pb]	$\sigma(q\bar{q} \rightarrow WH)$ [pb]	$\sigma(q\bar{q} \rightarrow ZH)$ [pb]	BR($H \rightarrow ZZ^{(*)} \rightarrow 4\ell$) [10^{-3}]
$\sqrt{s} = \sqrt[3]{7}\text{TeV}$					
123	$15.8^{+2.3}_{-2.4}$	1.25 ± 0.03	$0.60^{+0.02}_{-0.03}$	0.33 ± 0.02	0.103
125	15.3 ± 2.3	1.22 ± 0.03	0.57 ± 0.02	0.32 ± 0.02	0.125
127	14.9 ± 2.2	1.20 ± 0.03	0.54 ± 0.02	0.30 ± 0.02	0.148
400	$2.05^{+0.30}_{-0.29}$	0.18 ± 0.01	—	—	1.21
600	$0.34^{+0.06}_{-0.05}$	$0.062^{+0.005}_{-0.002}$	—	—	1.23
$\sqrt{s} = 8\text{TeV}$					
123	20.2 ± 3.0	1.61 ± 0.05	0.73 ± 0.03	0.42 ± 0.02	0.103
125	19.5 ± 2.9	$1.58^{+0.04}_{-0.05}$	0.70 ± 0.03	0.39 ± 0.02	0.125
127	18.9 ± 2.8	1.55 ± 0.05	$0.66^{+0.02}_{-0.03}$	0.37 ± 0.02	0.148
400	$2.92^{+0.41}_{-0.40}$	0.25 ± 0.01	—	—	1.21
600	$0.52^{+0.08}_{-0.07}$	0.097 ± 0.004	—	—	1.23

Reducible background



Method	Estimate for $\sqrt{s} = 8 \text{ TeV}$	Estimate for $\sqrt{s} = 7 \text{ TeV}$
	4μ	4μ
m_{12} fit: $Z + jj$ contribution	$2.4 \pm 0.5 \pm 0.6^\dagger$	$0.22 \pm 0.07 \pm 0.02^\dagger$
m_{12} fit: $t\bar{t}$ contribution	$0.14 \pm 0.03 \pm 0.03^\dagger$	$0.03 \pm 0.01 \pm 0.01^\dagger$
$t\bar{t}$ from $e\mu + \mu\mu$	$0.10 \pm 0.05 \pm 0.004$	-
	$2e2\mu$	$2e2\mu$
m_{12} fit: $Z + jj$ contribution	$2.5 \pm 0.5 \pm 0.6^\dagger$	$0.19 \pm 0.06 \pm 0.02^\dagger$
m_{12} fit: $t\bar{t}$ contribution	$0.10 \pm 0.02 \pm 0.02^\dagger$	$0.03 \pm 0.01 \pm 0.01^\dagger$
$t\bar{t}$ from $e\mu + \mu\mu$	$0.12 \pm 0.07 \pm 0.005$	-
	$2\mu 2e$	$2\mu 2e$
$ll + e^\pm e^\mp$ relaxed cuts	$5.2 \pm 0.4 \pm 0.5^\dagger$	$1.8 \pm 0.3 \pm 0.4$
$ll + e^\pm e^\mp$ inverted cuts	$3.9 \pm 0.4 \pm 0.6$	-
$3l + l$ (same-charge)	$4.3 \pm 0.6 \pm 0.5$	$2.8 \pm 0.4 \pm 0.5^\dagger$
same-charge, full analysis	4	0
	$4e$	$4e$
$ll + e^\pm e^\mp$ relaxed cuts	$3.2 \pm 0.5 \pm 0.4^\dagger$	$1.4 \pm 0.3 \pm 0.4$
$ll + e^\pm e^\mp$ inverted cuts	$3.6 \pm 0.6 \pm 0.6$	-
$3l + l$ (same-charge)	$4.2 \pm 0.5 \pm 0.5$	$2.5 \pm 0.3 \pm 0.5^\dagger$
same-charge, full analysis	3	2

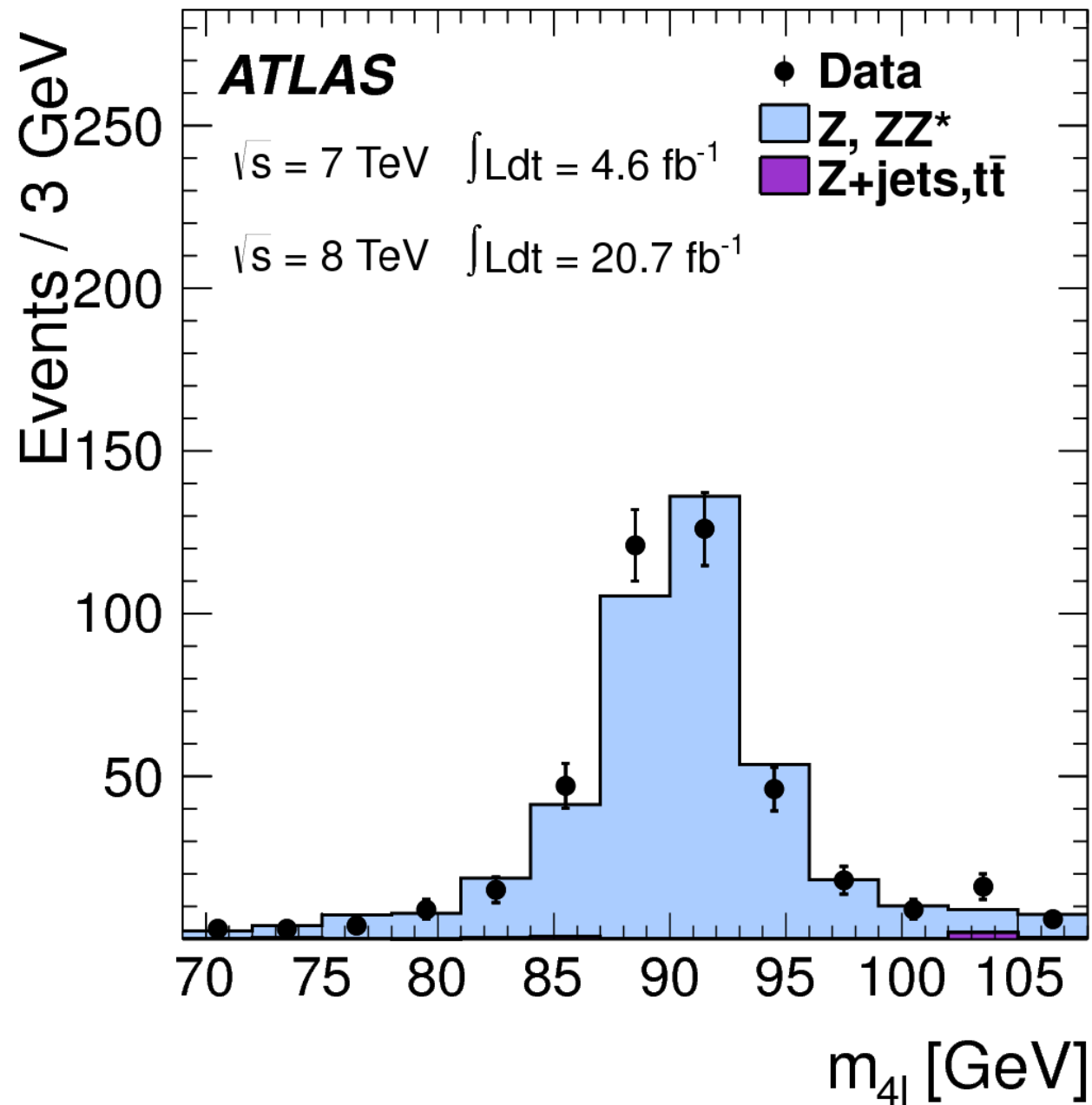
Isolation efficiency



Systematic uncertainties

- ▶ muon ID/reco
 - ❖ 0.8% (4μ), 0.4% ($2\mu 2e, 2e 2\mu$)
- ▶ electron ID/reco
 - ❖ $m_H = 125$ GeV: 9.5% ($4e$), 8.7-2.4% ($2e 2\mu, 2\mu 2e$)
 - ❖ $m_H = 1$ TeV: 2.4% ($4e$), 1.8-1.6% ($2e 2\mu, 2\mu 2e$)
- ▶ luminosity
 - ❖ 7 TeV: 1.8%
 - ❖ 8 TeV: 3.6%
- ▶ signal
 - ❖ QCD: 8% (ggF), 1% (VBF/VH)
 - ❖ alpha strong: 8% (ggF), 4% (VBF)
- ▶ ZZ background
 - ❖ QCD: 5%
 - ❖ alpha strong: 4% (VBF), 8% (ggF)
- ▶ energy and momentum scale
 - ❖ electrons: 0.4% ($4e$), 0.2% ($2e 2\mu$)
 - ❖ muons: 0.2% (4μ), 0.1% ($2\mu 2e$)

Single resonant



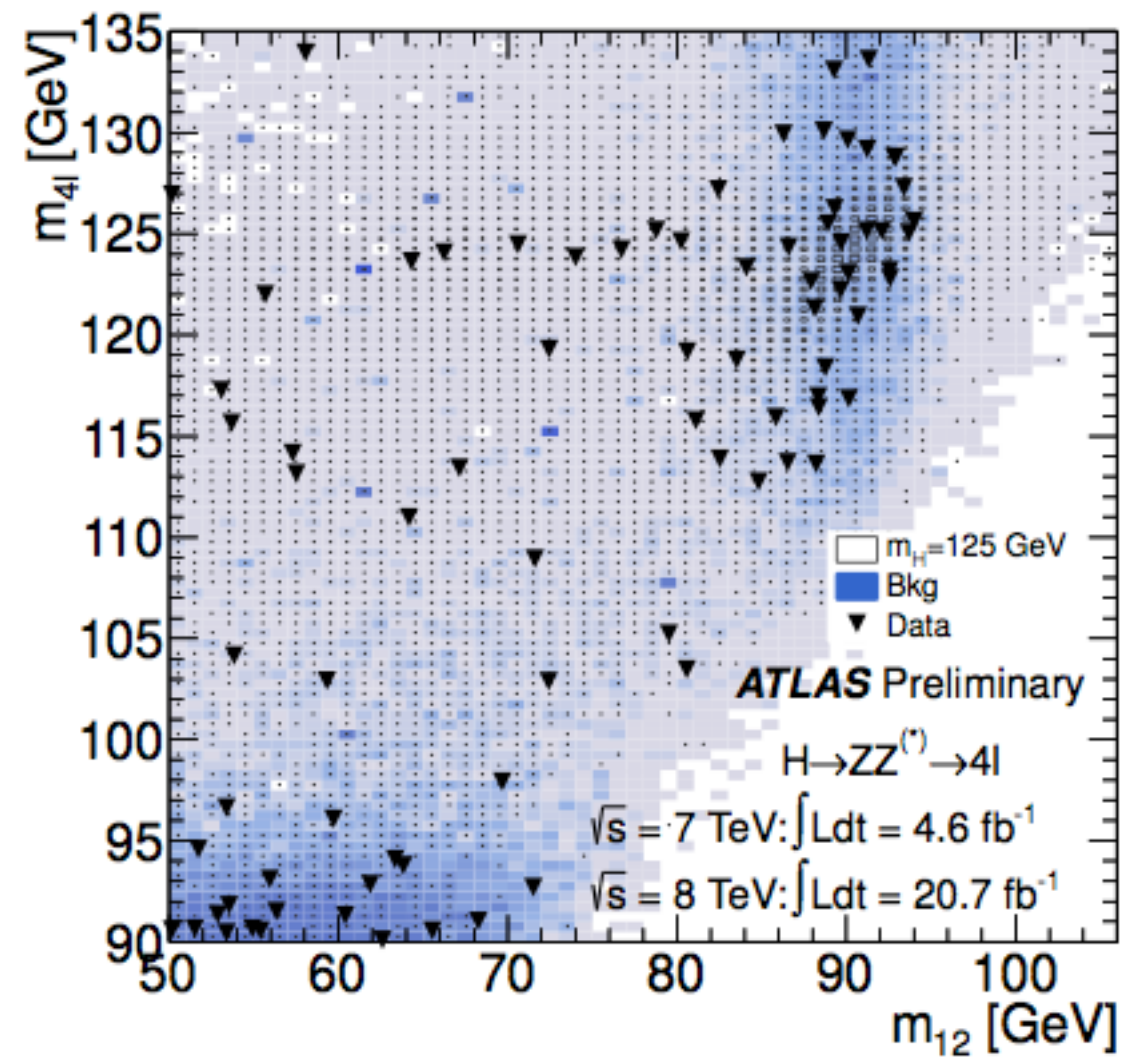
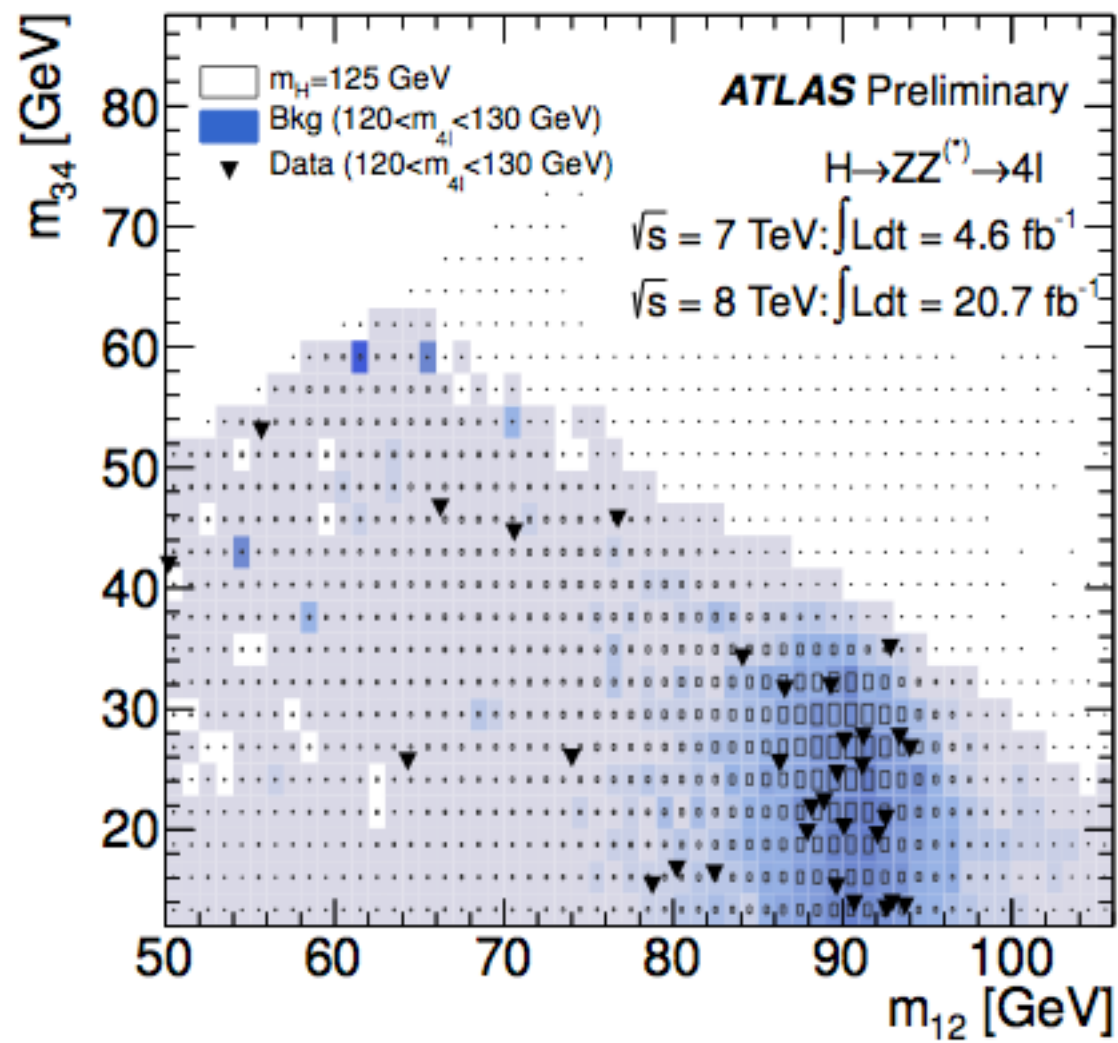
$20 \text{ GeV} < m_1 < 106 \text{ GeV}$
 $1 \text{ GeV} < m_2 < 115 \text{ GeV}$
 $p_T > (20, 15, 10/8, 4) \text{ GeV}$

The likelihood model

$$n_{\text{signal}}^k = \left(\sum_i \mu_i \sigma_{i,\text{SM}} \times A_{if}^k \times \varepsilon_{if}^k \right) \times \mu_f \times B_{f,\text{SM}} \times \mathcal{L}^k$$

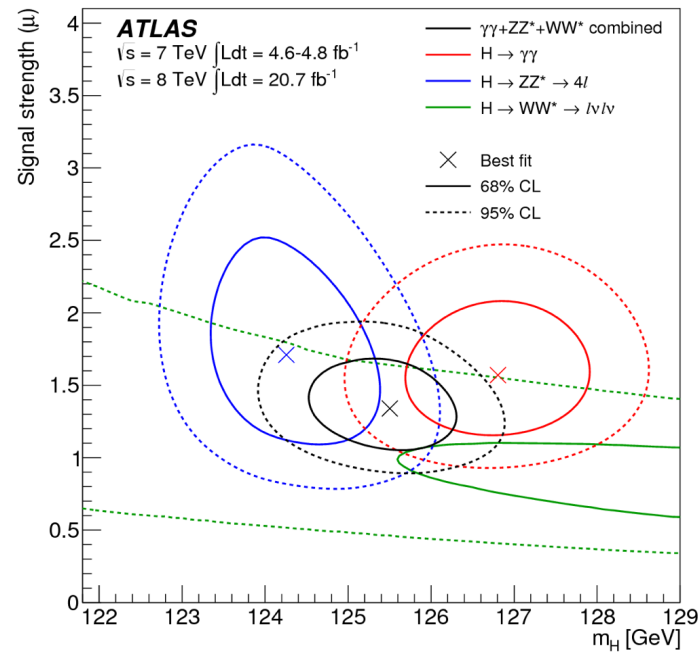
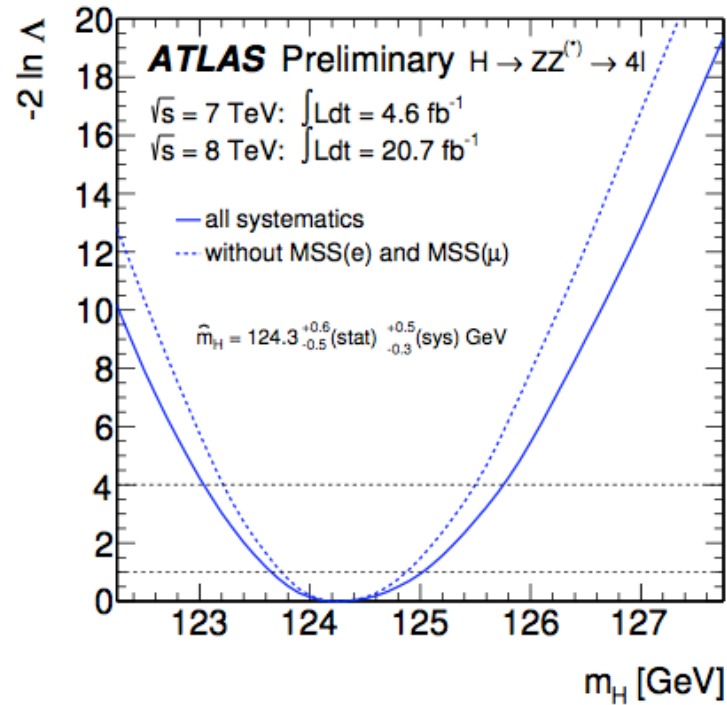
$$\Lambda(\boldsymbol{\mu}) = \frac{L(\boldsymbol{\mu}, \hat{\boldsymbol{\theta}}(\boldsymbol{\mu}))}{L(\hat{\boldsymbol{\mu}}, \hat{\boldsymbol{\theta}})}$$

$$\Lambda(m_H) = \frac{L(m_H, \hat{\mu}_{\gamma\gamma}(m_H), \hat{\mu}_{4\ell}(m_H), \hat{\boldsymbol{\theta}}(m_H))}{L(\hat{m}_H, \hat{\mu}_{\gamma\gamma}, \hat{\mu}_{4\ell}, \hat{\boldsymbol{\theta}})}$$



Results

mass measurement

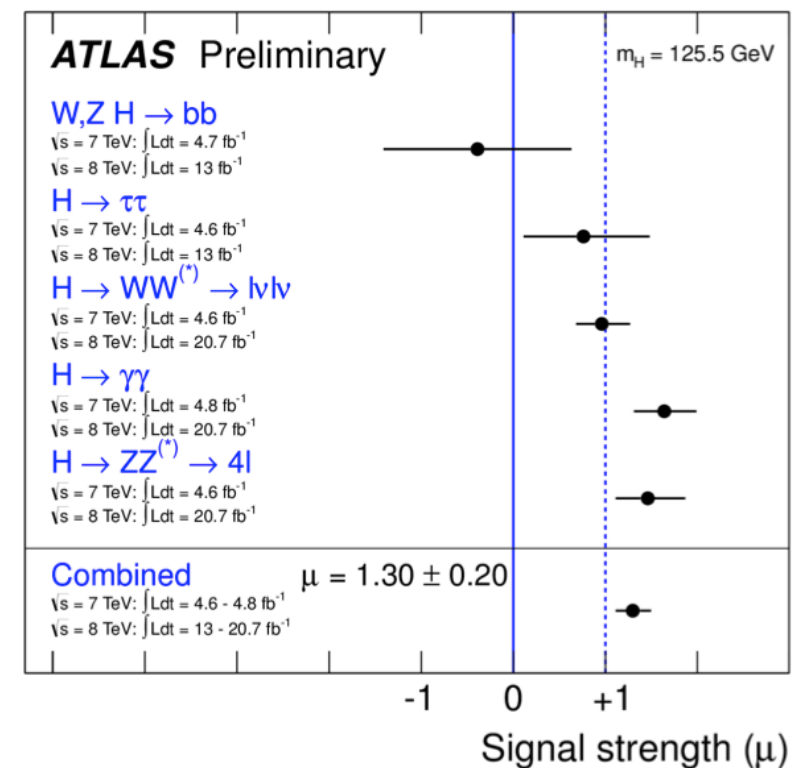
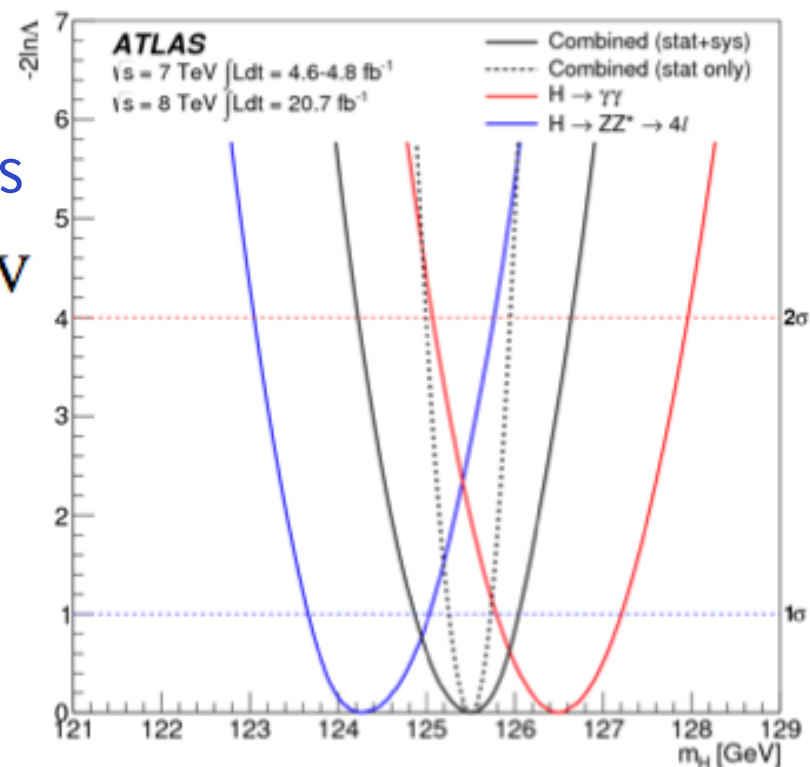


$$\mu = \frac{\text{events observed}}{\text{events expected}}$$

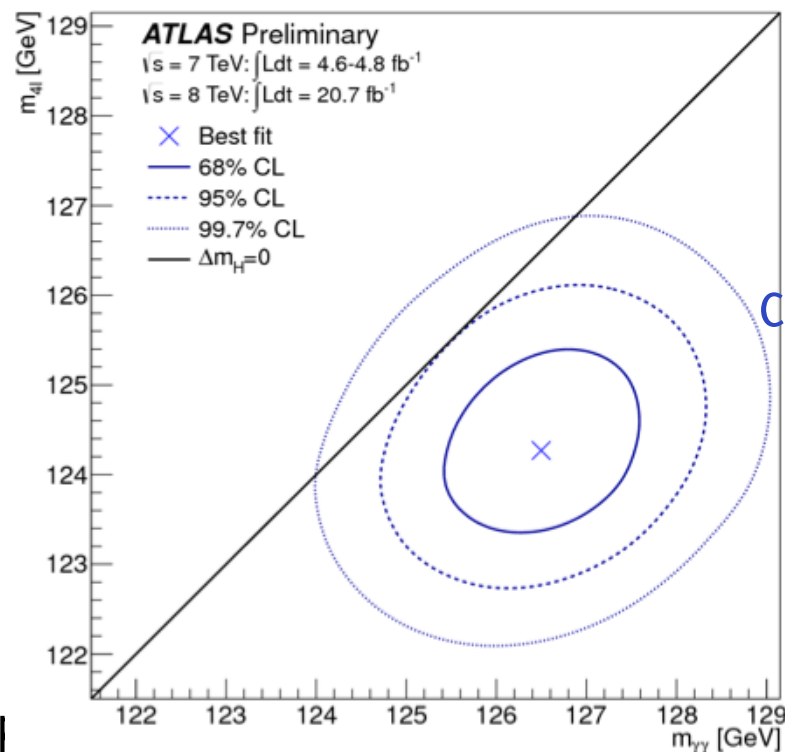
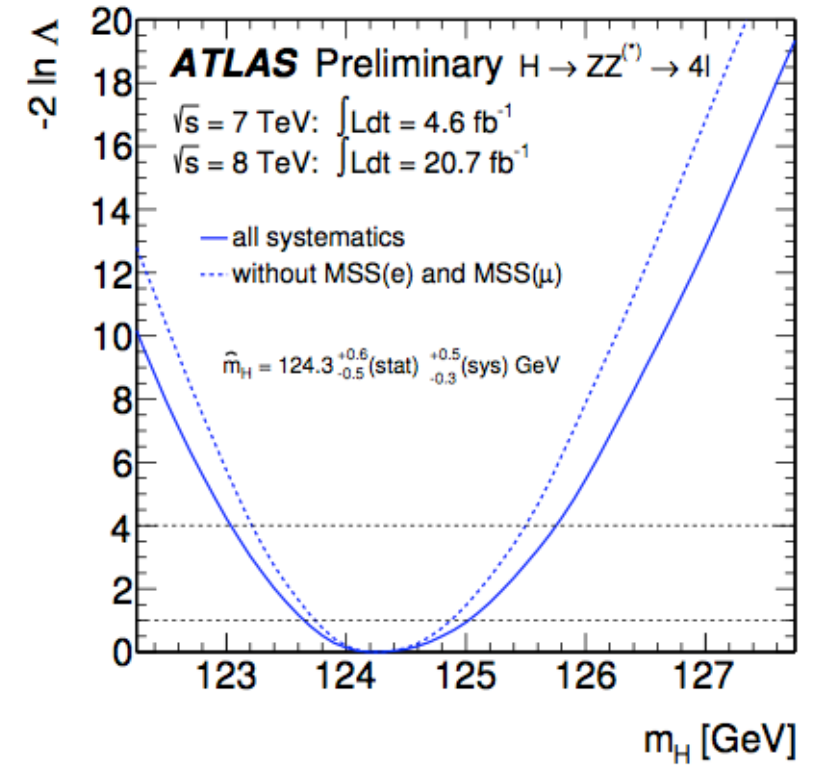
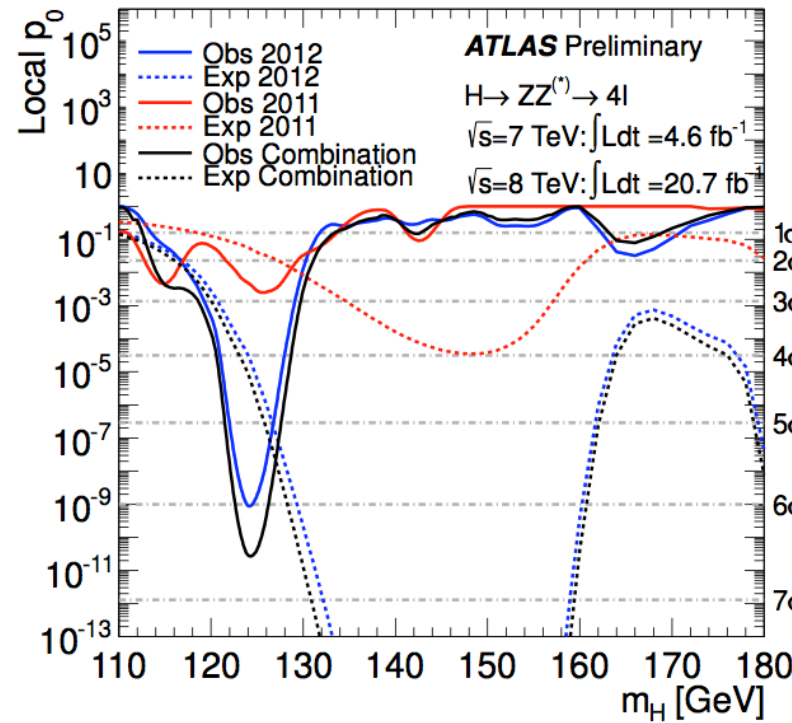
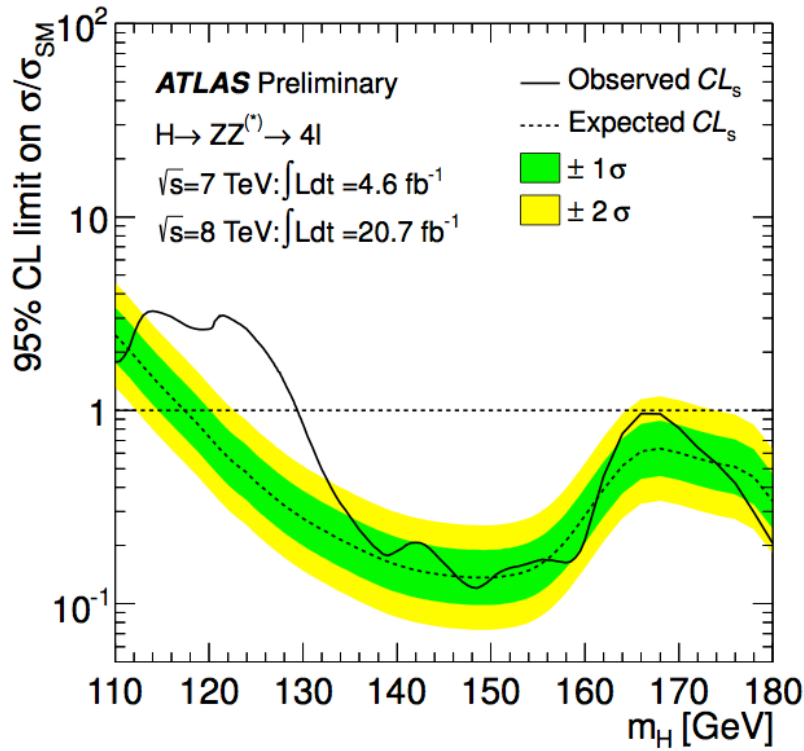
combination with other channels

$$m_H = 125.5 \pm 0.2 \text{ (stat)}^{+0.5}_{-0.6} \text{ (sys) GeV}$$

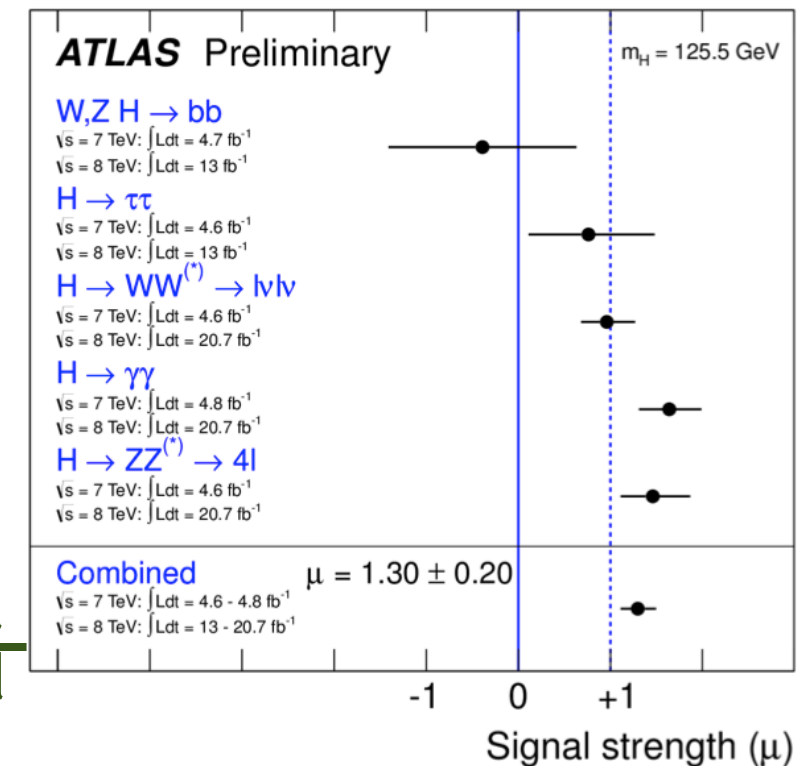
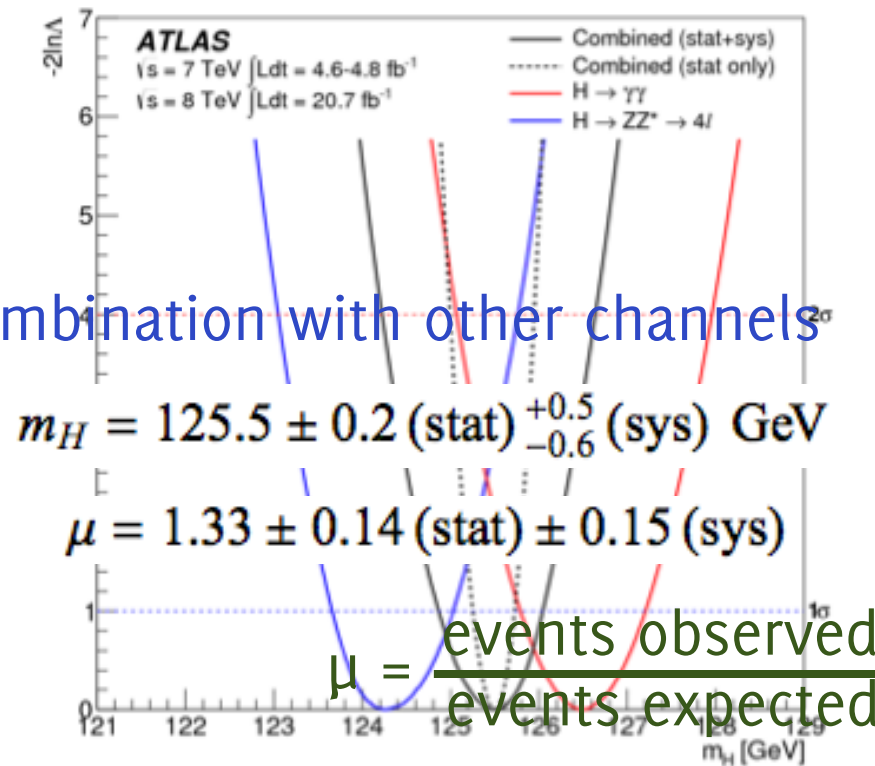
$$\mu = 1.33 \pm 0.14 \text{ (stat)} \pm 0.15 \text{ (sys)}$$



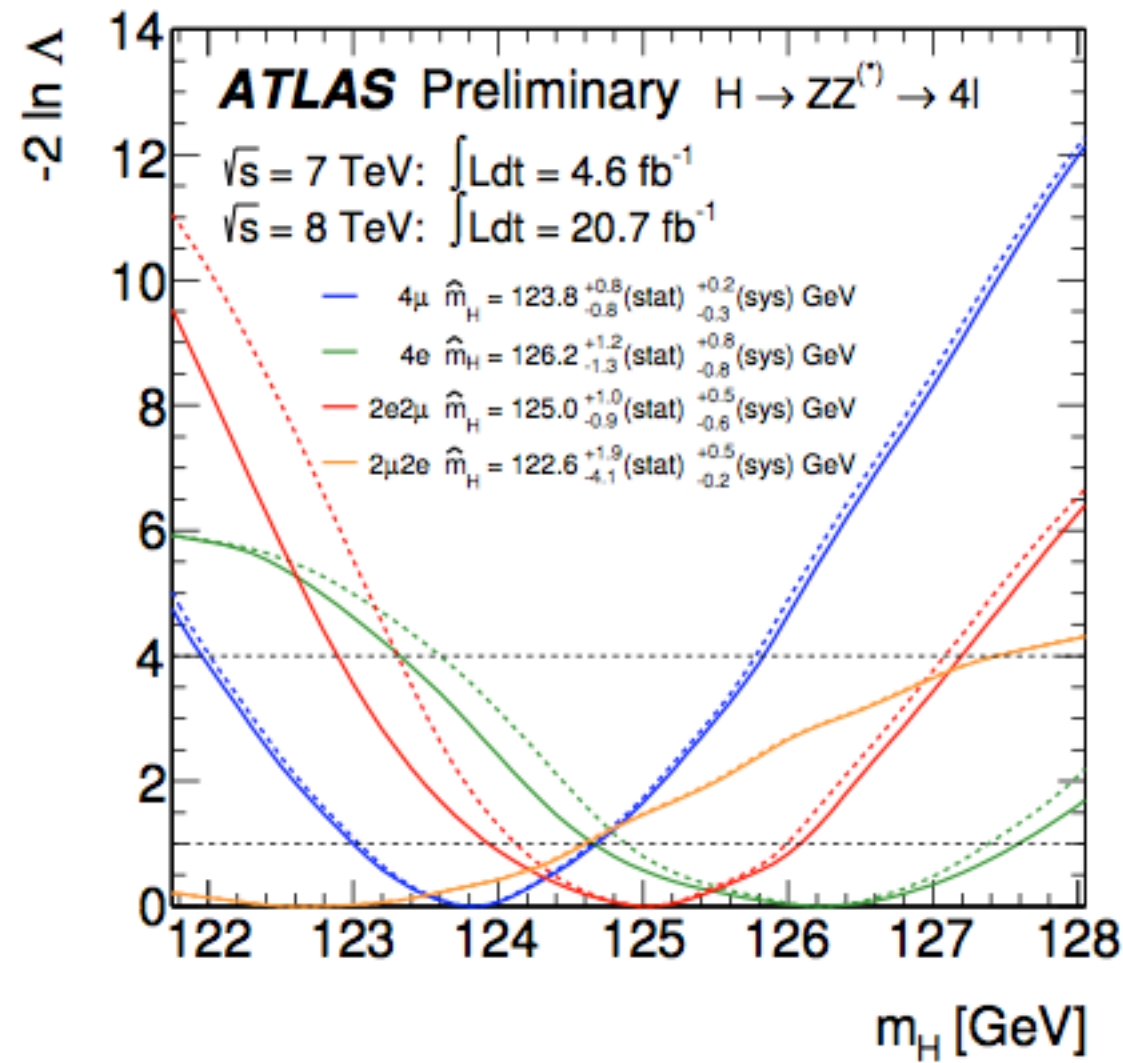
Results



combination with other channels



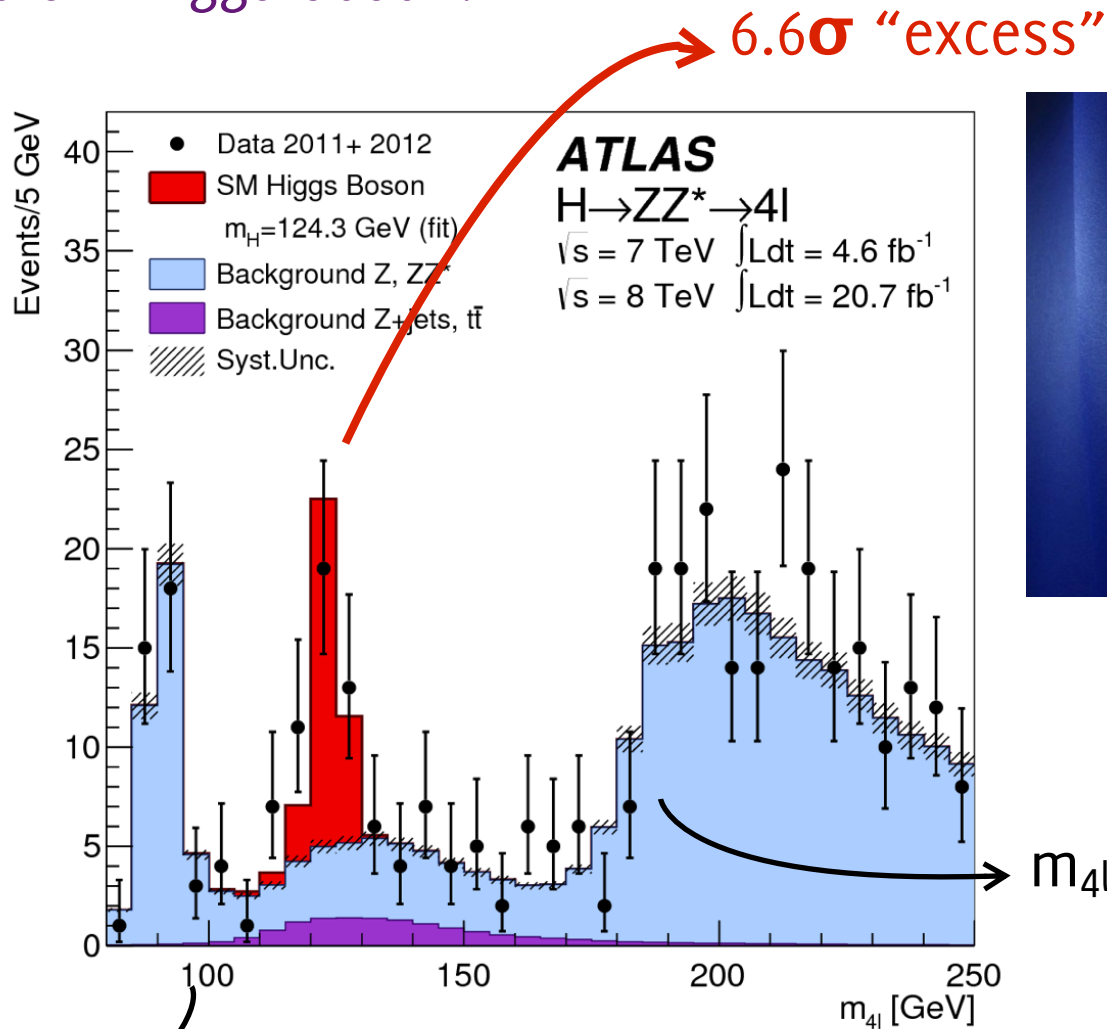
4-lepton breakdown



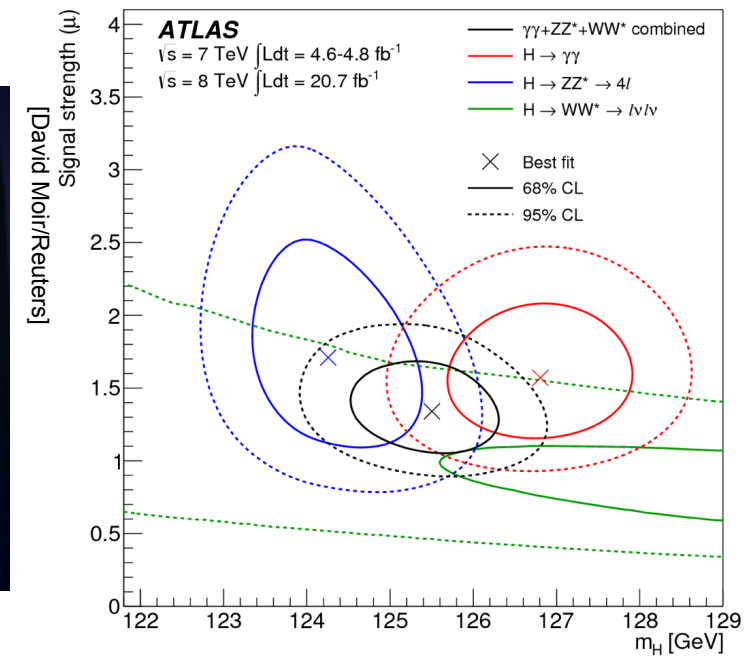
data set	min p_0	observed		expected	
		significance [σ]	$m_H(p_0)$	min $p_0(m_H)$	significance [σ]
$\sqrt{s} = 7 \text{ TeV}$	2.5×10^{-3}	2.8	125.6 GeV	3.5×10^{-2}	1.8
$\sqrt{s} = 8 \text{ TeV}$	8.8×10^{-10}	6.0	124.1 GeV	2.8×10^{-5}	4.0
combined	2.7×10^{-11}	6.6	124.3 GeV	5.7×10^{-6}	4.4

Results

is it the SM Higgs boson?



mass measurement



$m_{4l} > 2m_Z$

combination with other channels

$$m_H = 125.5 \pm 0.2 \text{ (stat)}^{+0.5}_{-0.6} \text{ (sys)} \text{ GeV}$$

$$\mu = 1.33 \pm 0.14 \text{ (stat)} \pm 0.15 \text{ (sys)}$$

$$\mu = \frac{\text{events observed}}{\text{events expected}}$$

