

# Dark Matter

# Indirect Searches

- $\gamma$ -rays/radio connection
- Angular cross-correlations



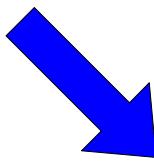
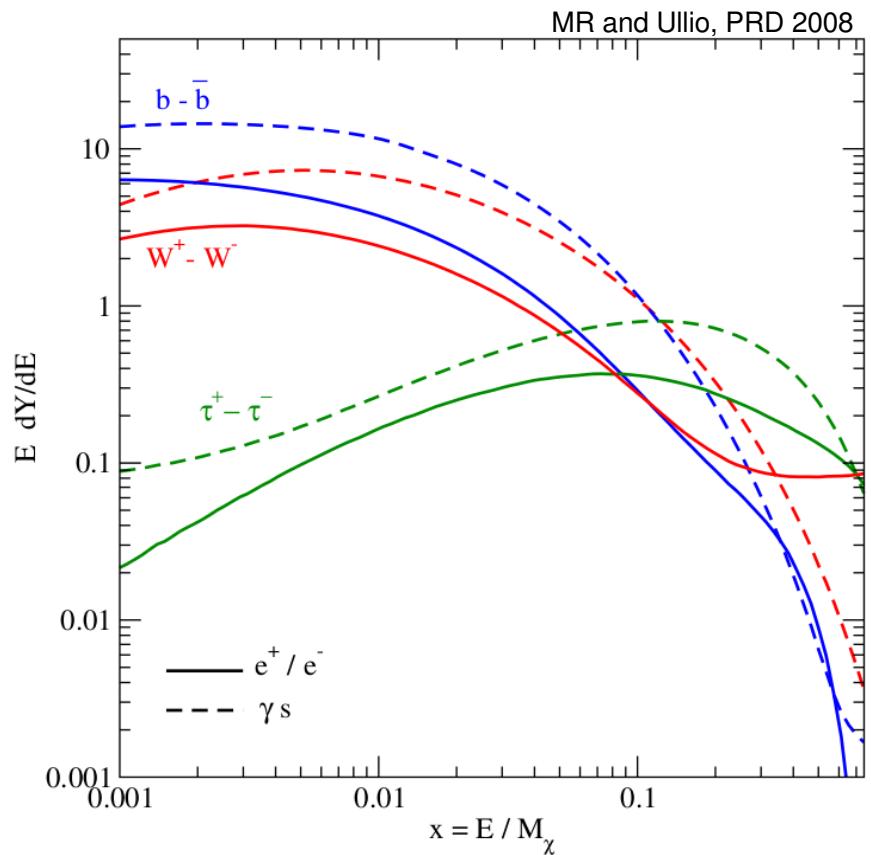
UNIVERSITÀ DEGLI STUDI  
DI TORINO

Marco Regis  
(Torino)



# $\gamma$ -rays/radio connection

Sizable production of gamma-rays typically comes with a comparable  $e^+e^-$  yield



**Comparable luminosities**  
for gamma-ray (prompt) and synchrotron  
emissions  
(and also for IC on CMB in X- or  $\gamma$ -rays)

# What to learn from radio frequencies ?

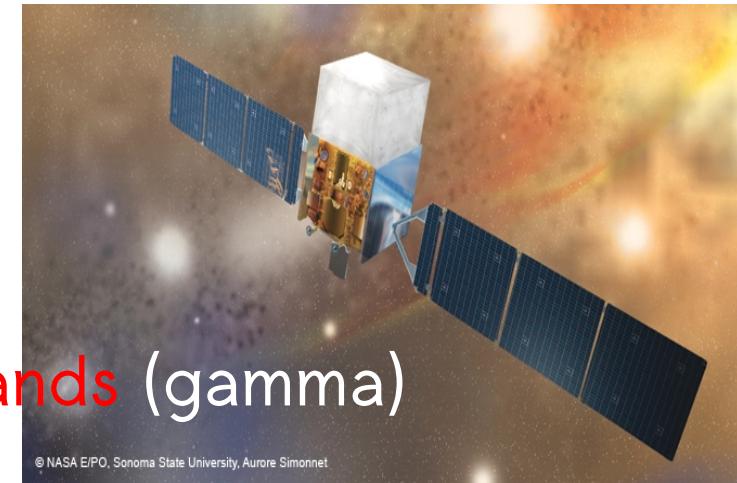
A simple comparison between radio and gamma astronomy:

Credit: Mike Robinson



Few millions

Number of  
known sources =  
(radio) vs few thousands (gamma)

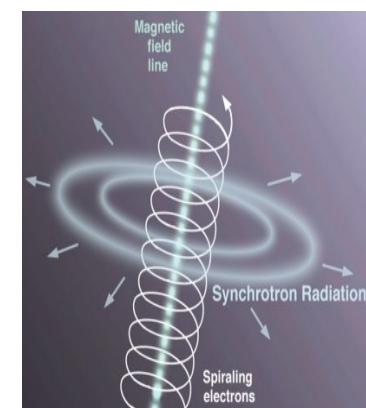


© NASA/EPO, Sonoma State University, Aurore Simonnet

Generically speaking, for phenomena with connected radio-gamma production mechanisms, it is simpler to catch the source with radio telescopes due to superior sensitivity and angular resolution

BUT

Synchrotron radiation requires an additional player:  
the magnetic field



Credit: Sky & Telescope / Gregg Dinderman

# dwarf spheroidal galaxies – radio projects

Single-dish

“Fermi-like” images

**Spekken, Mason, Aguirre, Natarajan et al.**

(Green Bank Telescope)



Interferometry

Higher sensitivity and angular resolution, no emission on very large scales

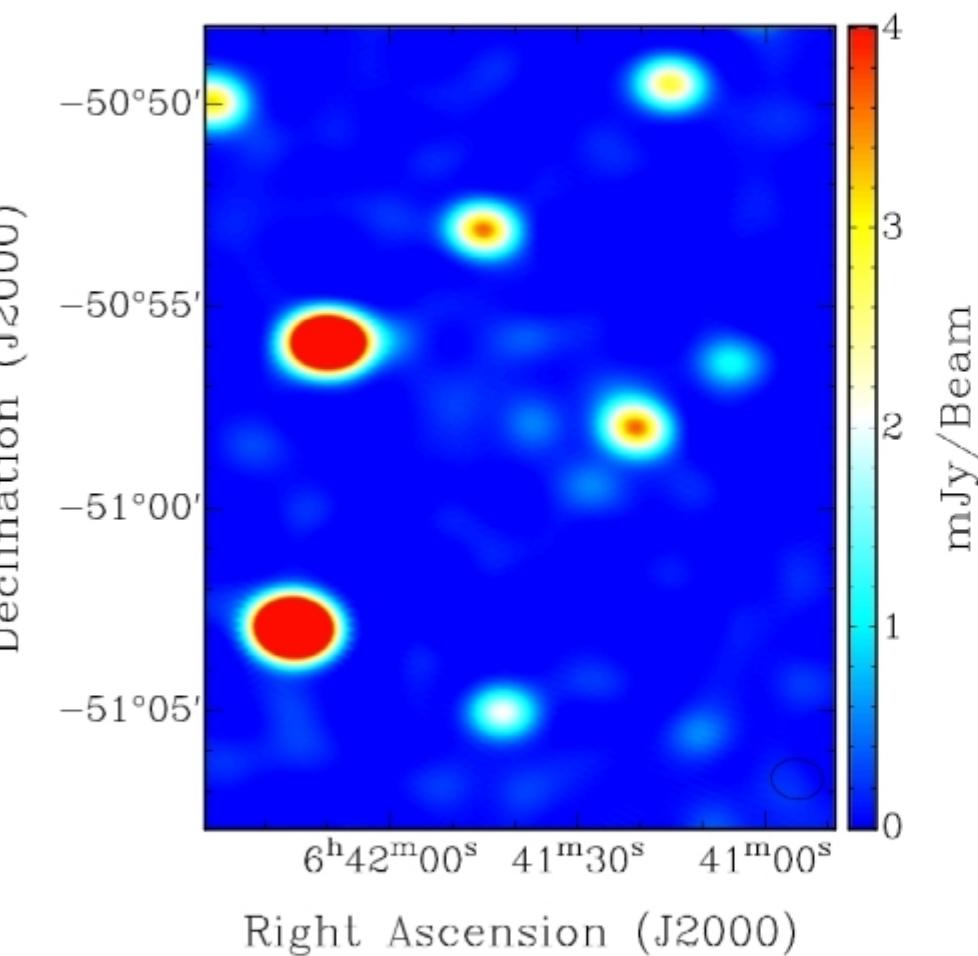
**Regis, Richter, Colafrancesco, de Blok, Massardi, Profumo** (ATCA)



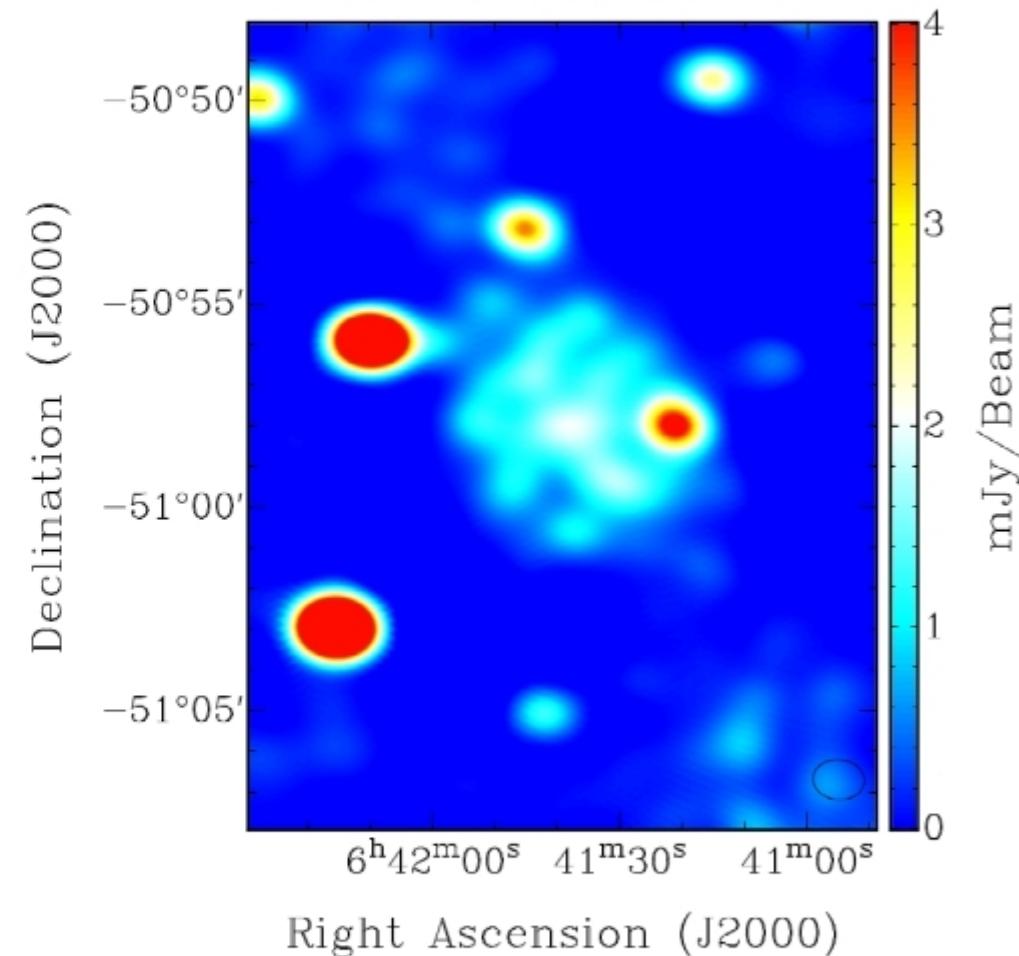
# ATCA project

Observations of Carina, Fornax, Sculptor, BootesII, SegueLL, Hercules with  $\sim 50 \mu\text{Jy}$  sensitivity

Observed field

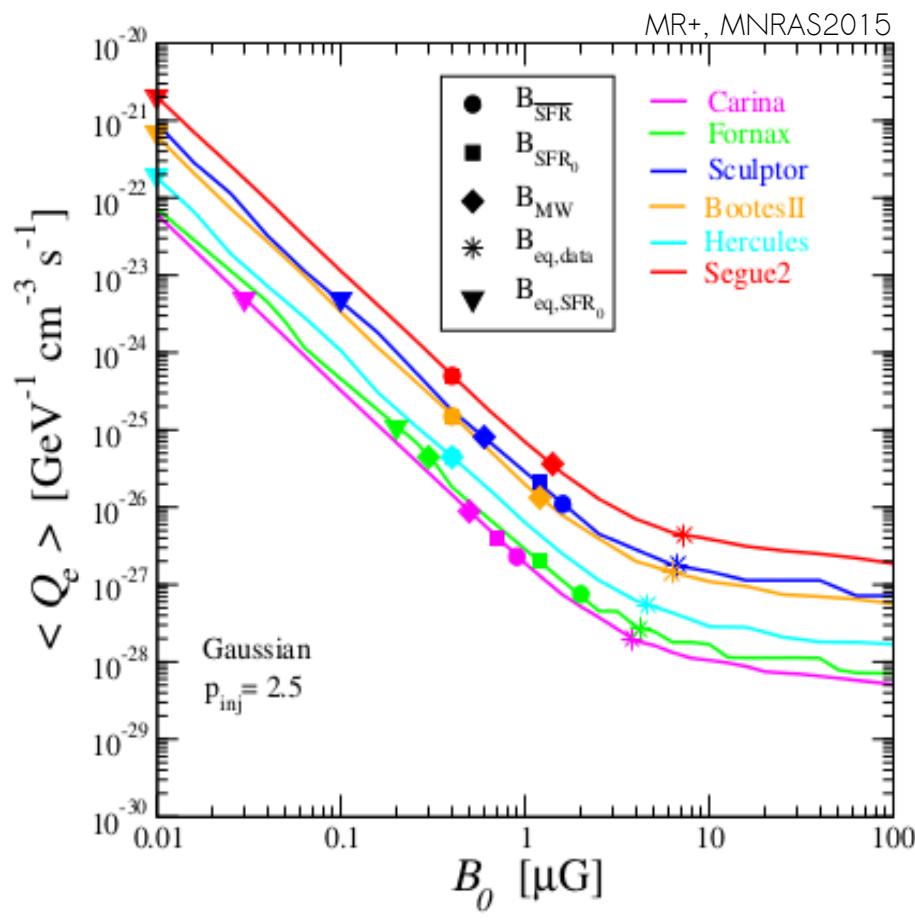


Observed field plus simulated dark matter

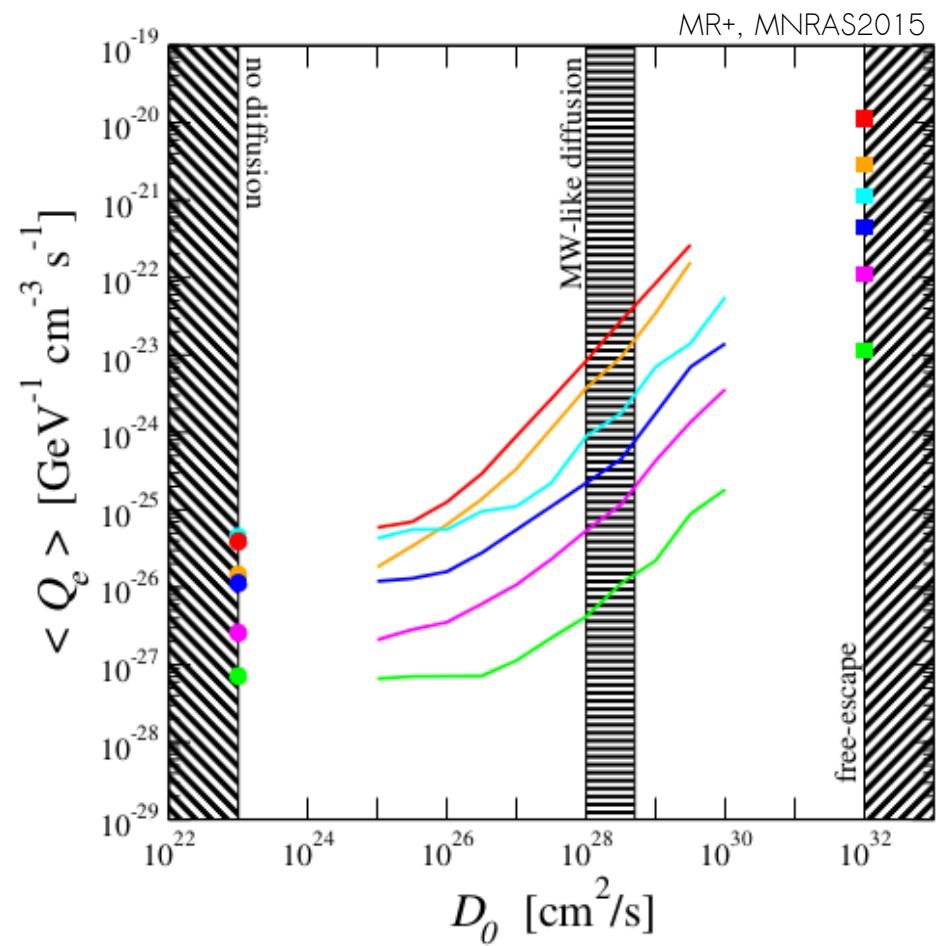


# Magnetic field uncertainties

Magnetic field strength



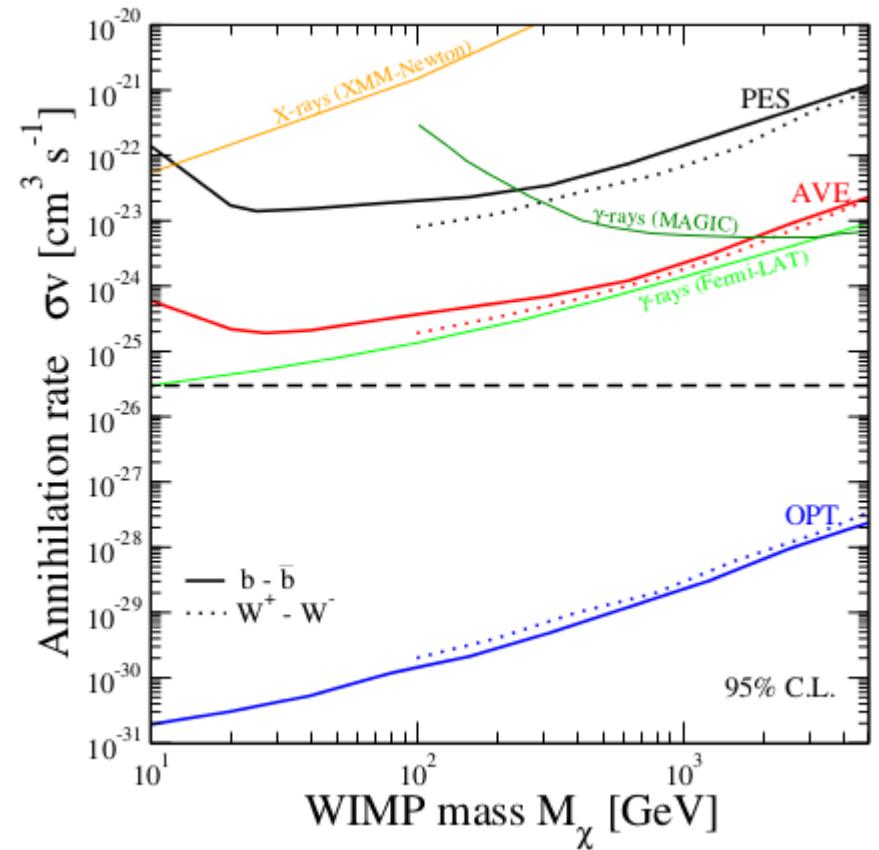
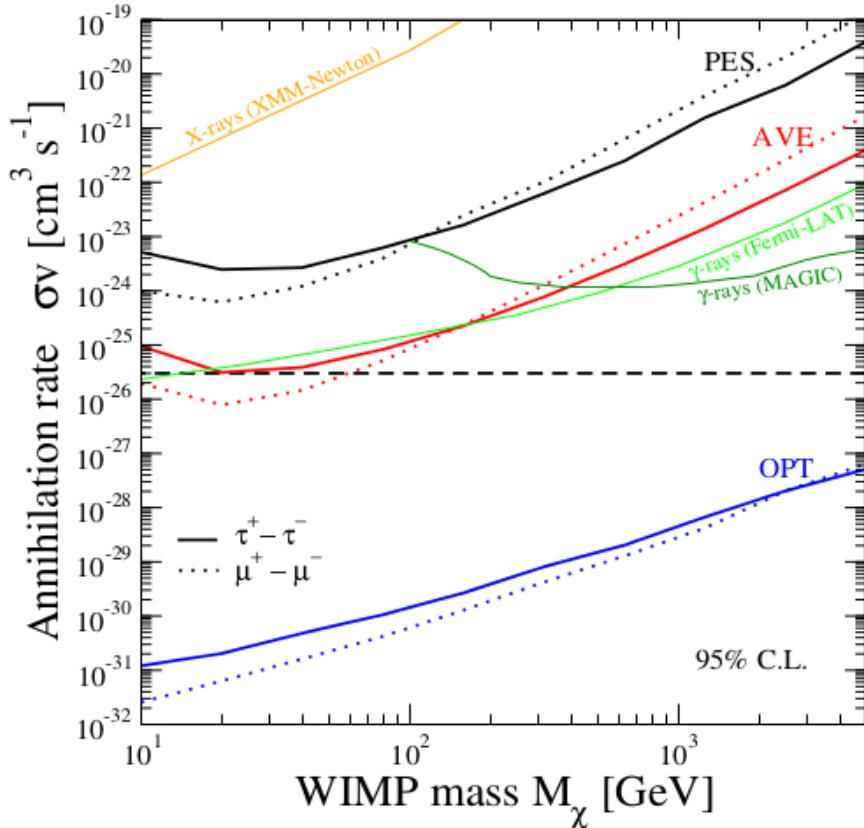
Spatial diffusion



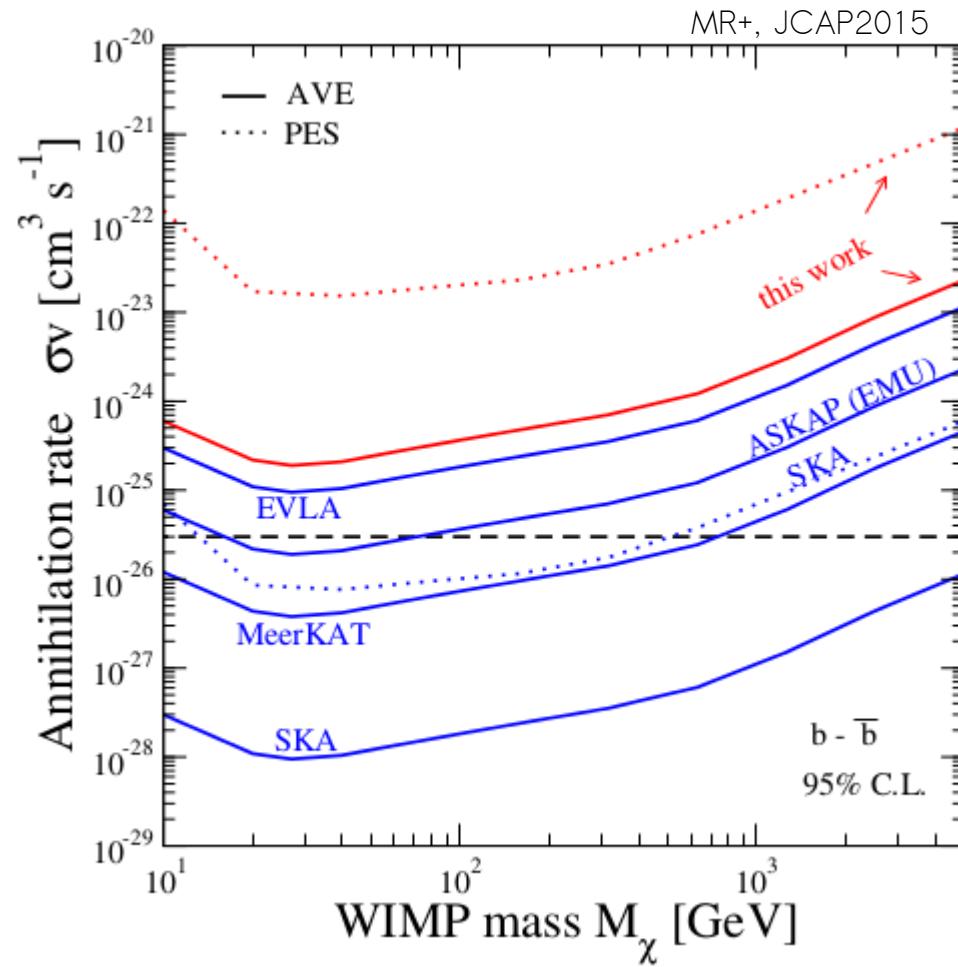
# Bounds on WIMPs

MR+, JCAP2015

Name	magnetic field	diffusion scheme	DM profile
OPT	$B_{eq}^{obs}$	loss-at-injection	Einasto
AVE	$\max(B_{SFR}, 1 \mu\text{G})$	$D = 3 \cdot 10^{28} (E/\text{GeV})^{0.3} \exp(r/r_*) \text{ cm}^2/\text{s}$	NFW
PES	$B_{SFR_0}$	$D = 10^{30} (E/\text{GeV})^{0.3} \exp(r/r_*) \text{ cm}^2/\text{s}$	Burkert



# Prospects



Future radio telescopes can progressively test WIMP models with “thermal” annihilation rate, for various astrophysical scenarios.

# Can Fermi-LAT detect DM in dSphs?

Given the current situation (no clear signal from dSphs),  
the answer is probably **NO**.

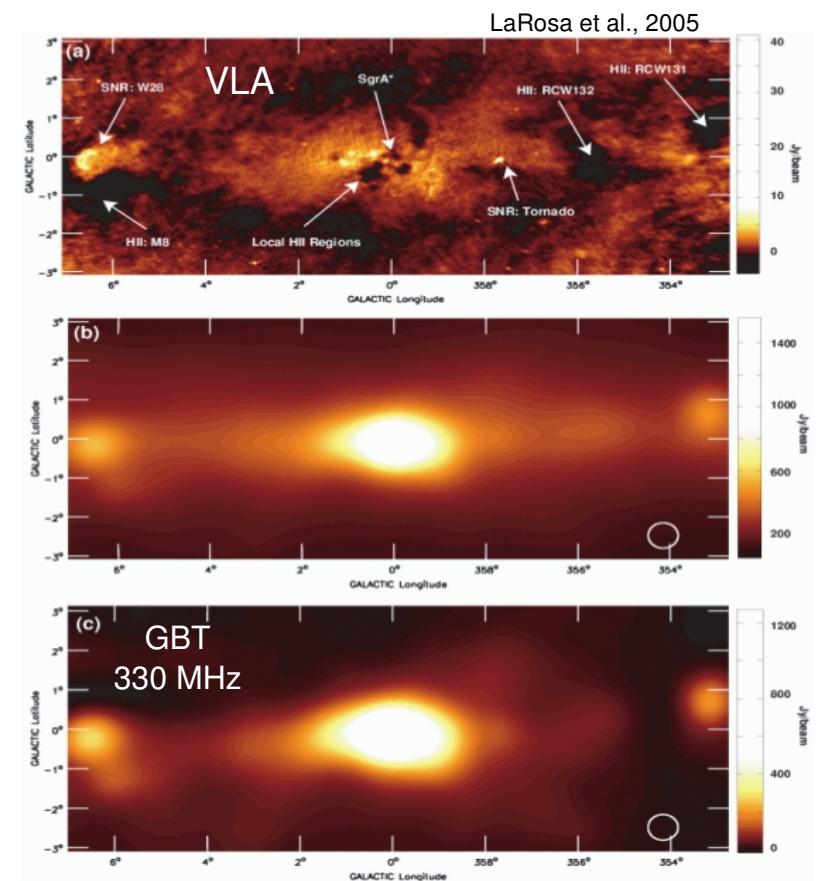
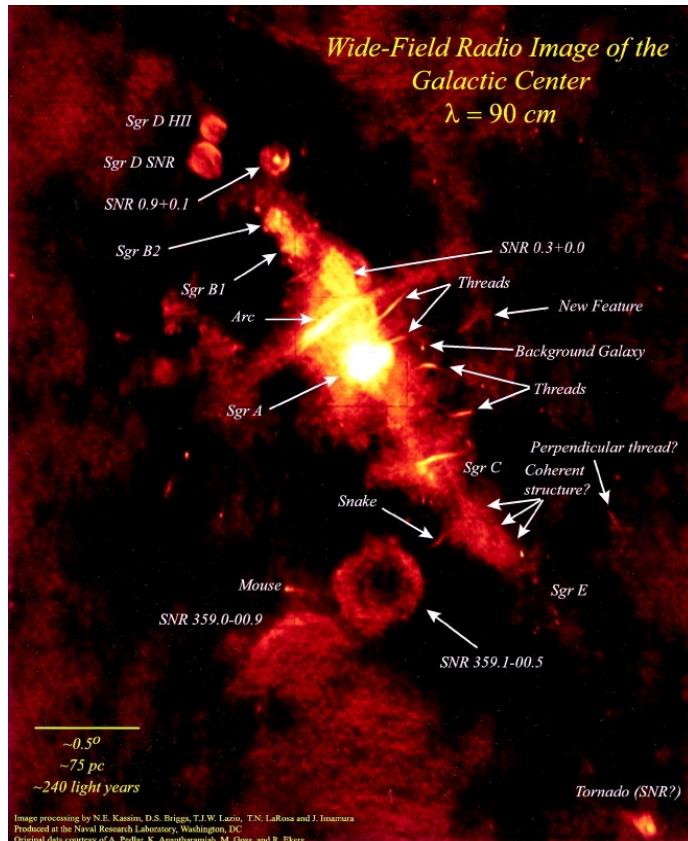
Possible issues:

- beam (to test DM extended emission against “point-like” background sources and astrophysical sources in the dSph)
- statistics (to get spectrum at high energy and for detection in different targets), unless massive dedicated observations..

For the next 5-8 years, **shall we bet instead on radio (or X-rays) ?**

# Galactic Center

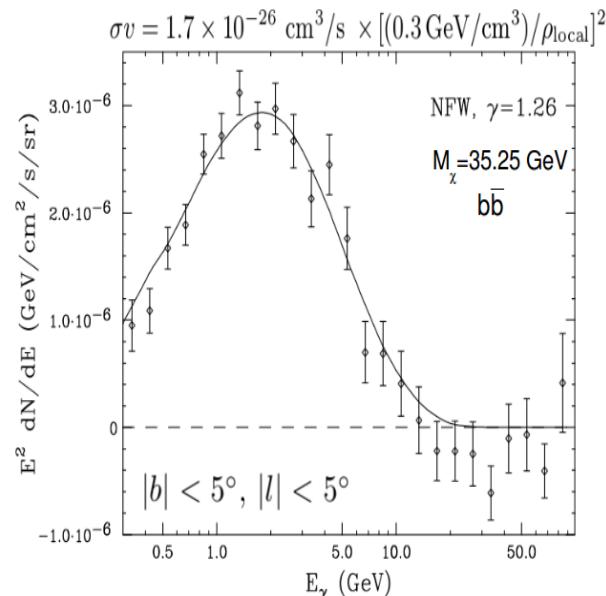
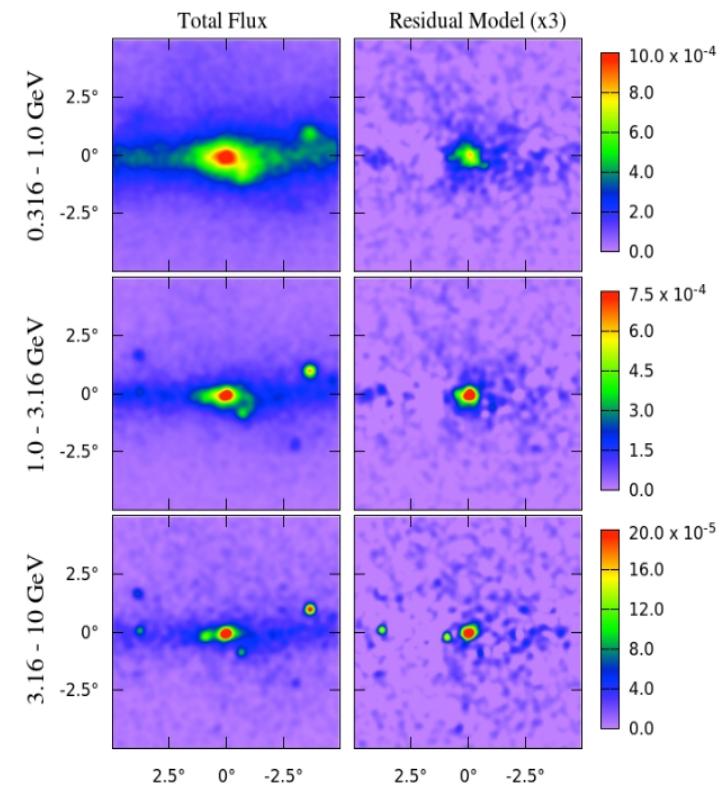
The **nucleus** of our Galaxy is a **very rich system** (“starburst-like”), with higher supernova rates, stronger magnetic fields, more intense radiation fields, and larger amounts of dense molecular gas than in the Galactic disk.



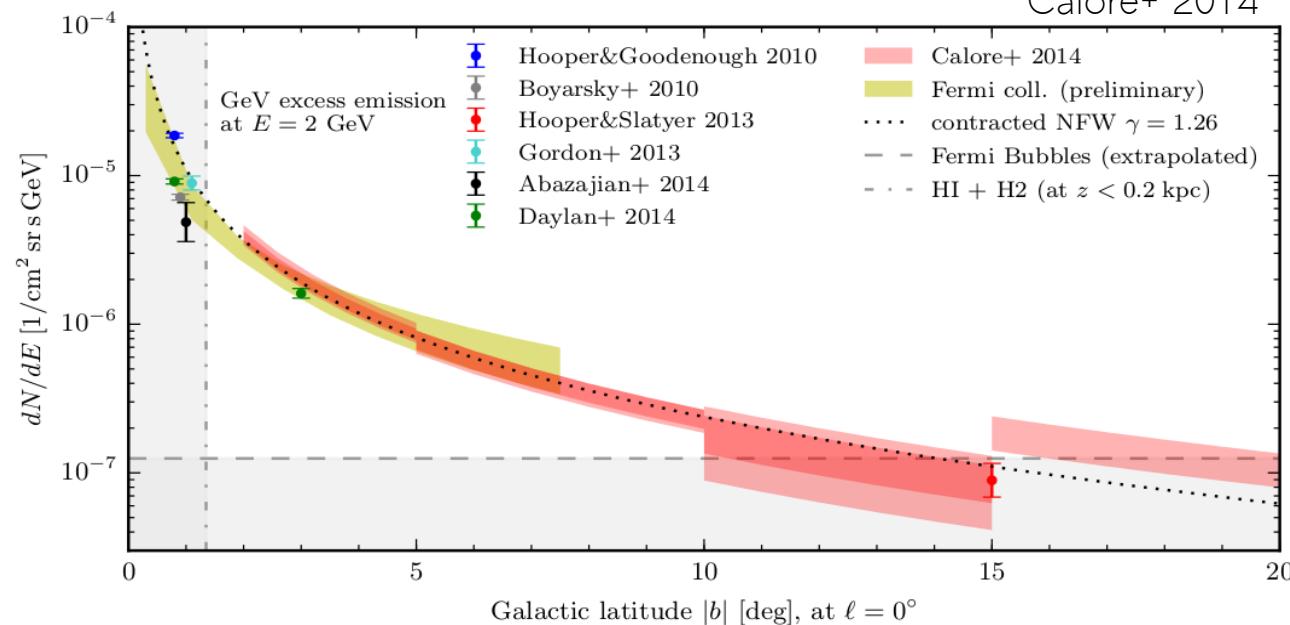
# GC $\gamma$ -ray "excess"

Mattia's talk

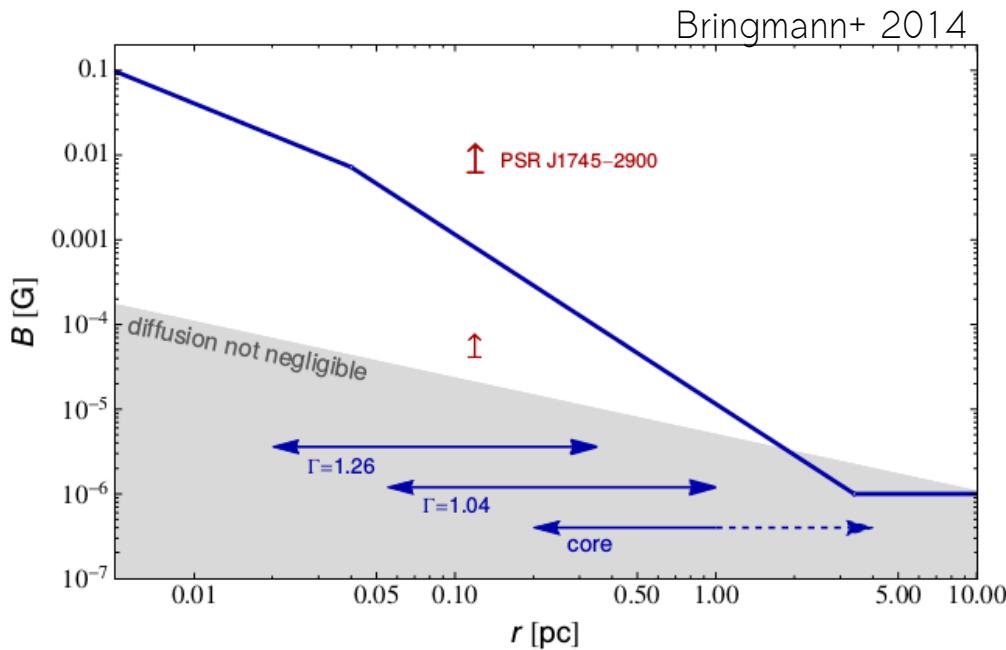
Daylan+ 2014



Calore+ 2014

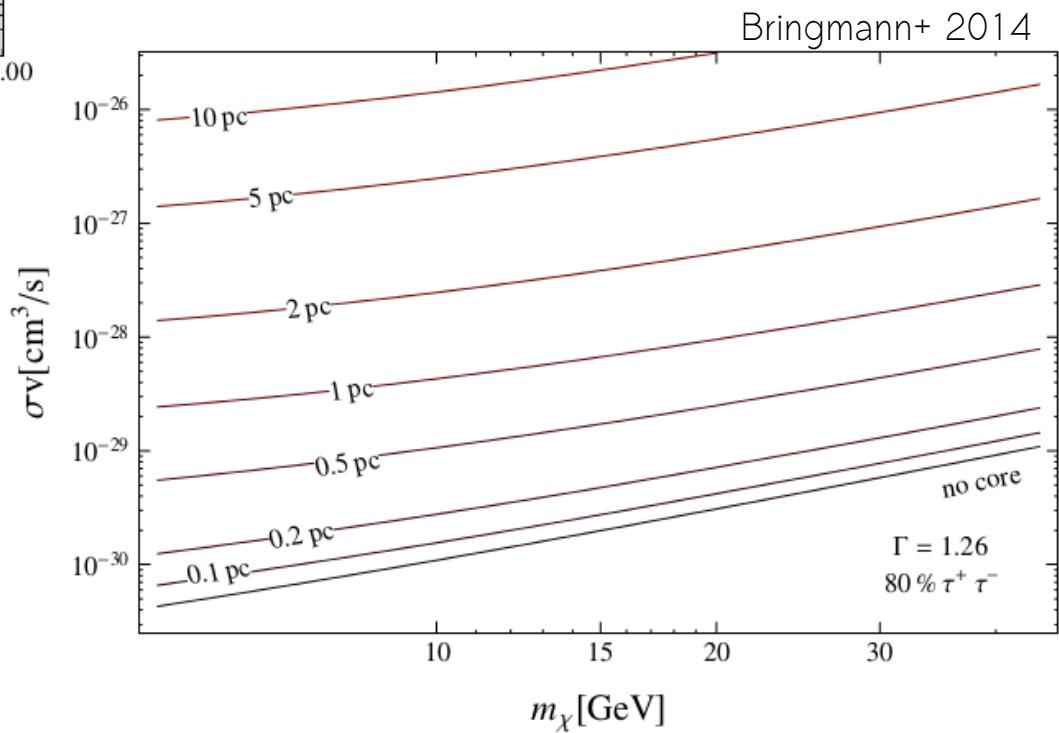


# Radio bounds on DM at GC

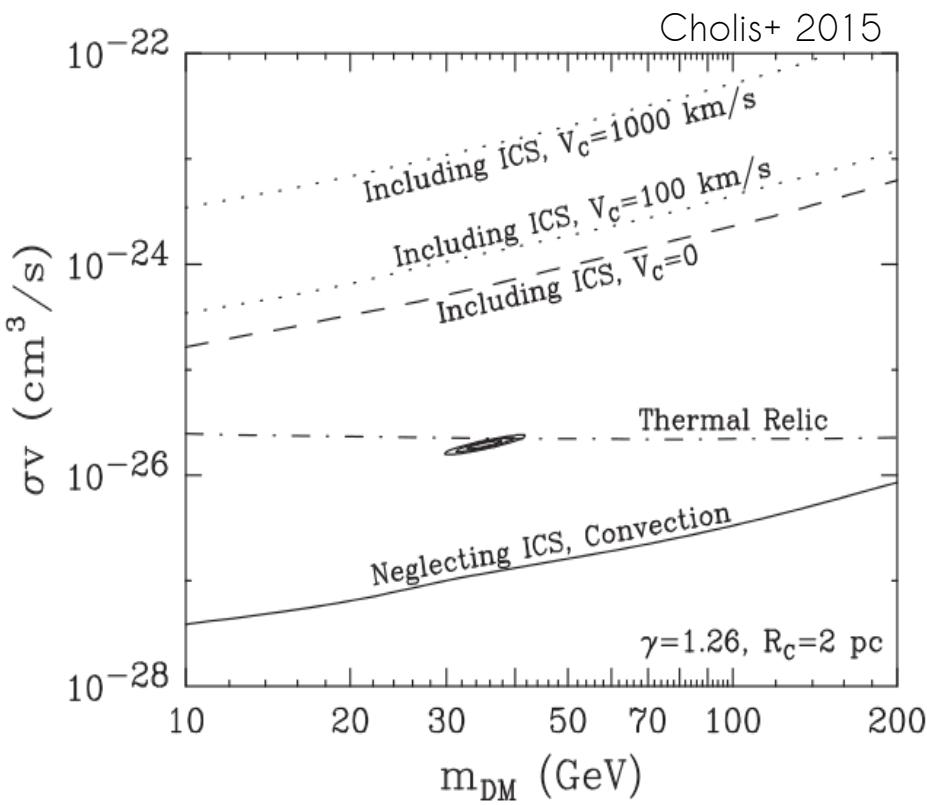


Uncertainties in the **magnetic field** and **DM spatial profile** in the innermost region of the Galaxy

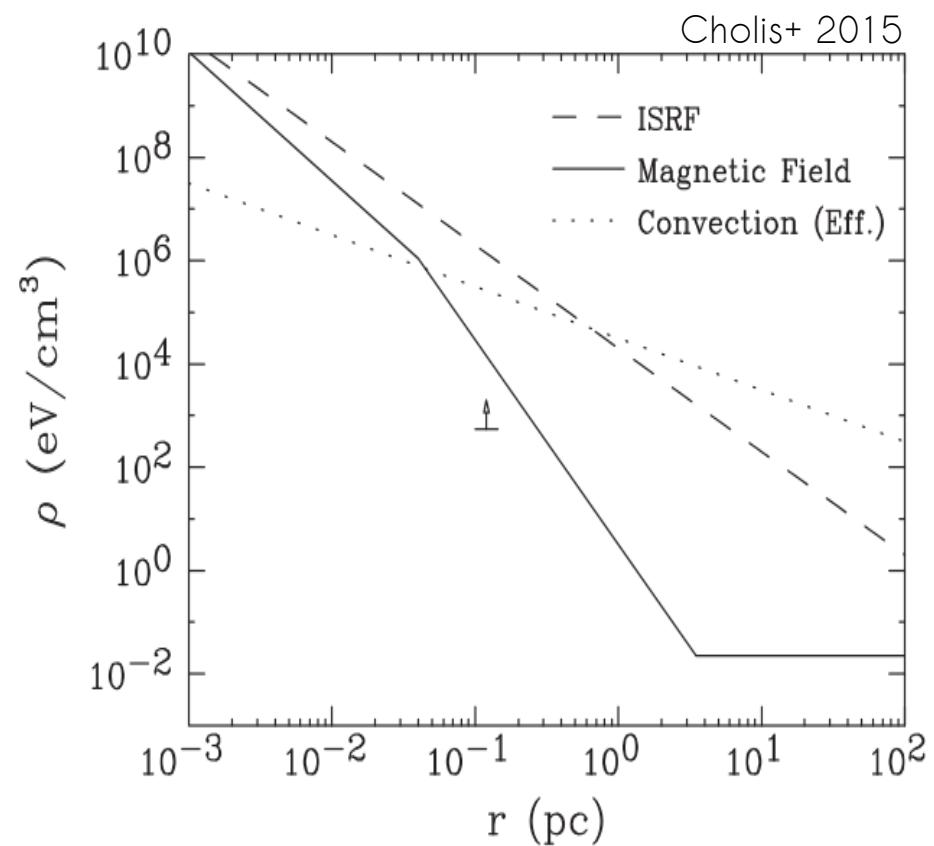
Observations on **few arcsec** scales put the strongest radio constraints for DM cuspy profiles  
(Regis&Ullio 2008)



# Radio bounds on DM at GC



Uncertainties in the description of  
ICS losses, winds and diffusion  
in the innermost region of the  
Galaxy



# Radio bounds on DM at GC

Assuming a **DM cuspy profile** down to the sub-pc region, robust bounds can be obtained if the ambient **magnetic field** will be found to be **strong** ( $B > \text{mG}$  in the innermost region  $< 1 \text{ pc}$ )

SKA (and precursors) surveys of magnetar population → rotation and dispersion measures → estimates of B

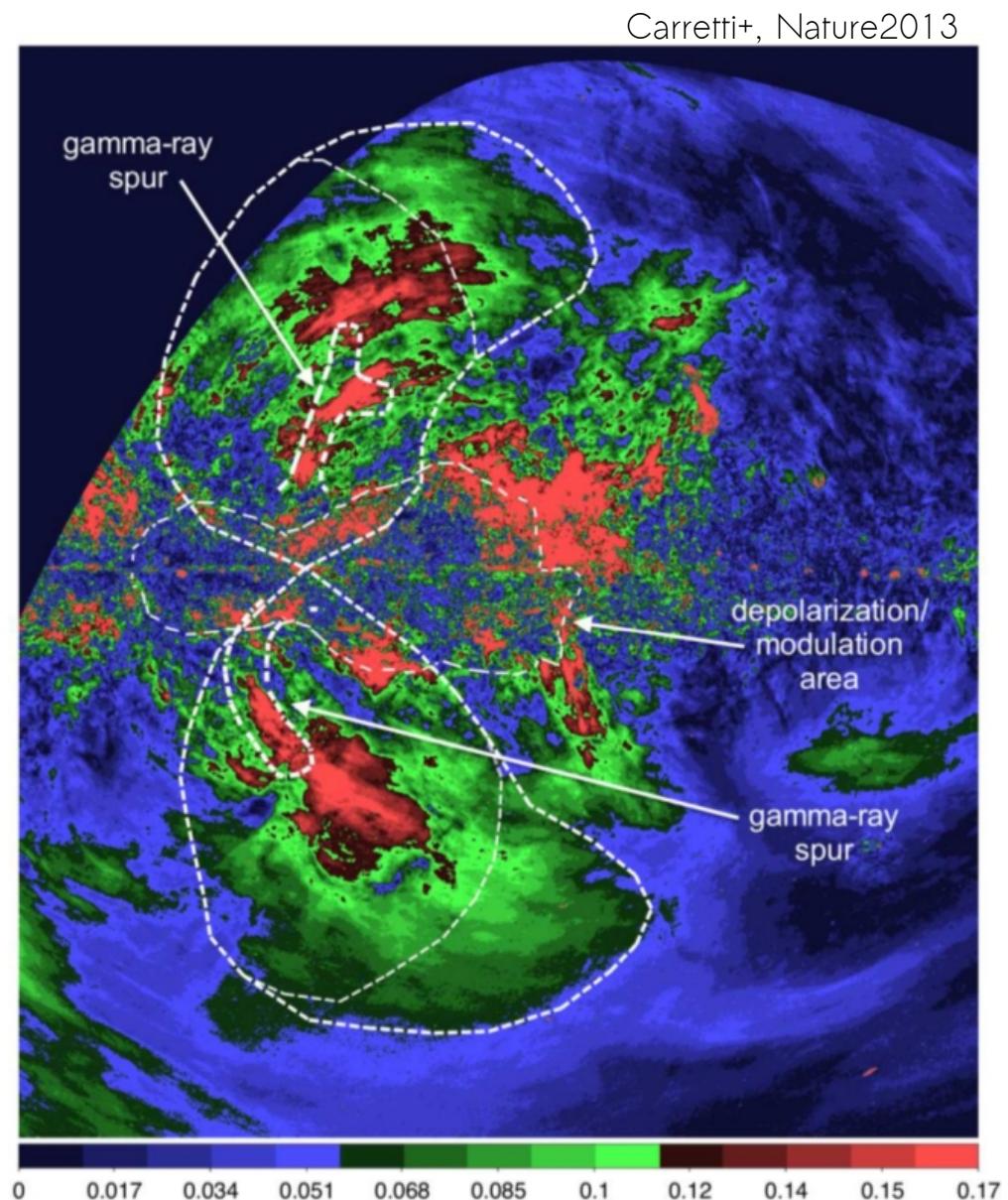
Could you think about a radio test for the GC excess??

Which radio counterpart we should look for? Diffuse? Point-sources?

Interesting analogy: Fermi bubbles

# Radio counterpart of Fermi bubbles

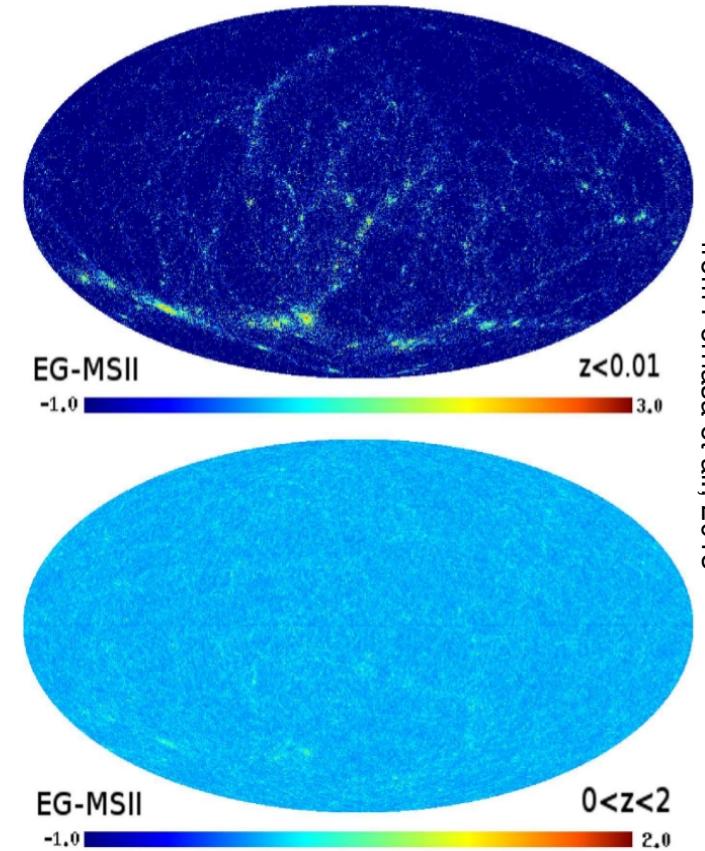
S-PASS  
mapped the polarized  
radio emission of the entire  
southern sky with the  
Parkes Radio  
Telescope at a frequency  
of 2.3 GHz with 9' angular  
resolution.



Angular  
cross-correlations

# Angular correlations

Even if DM is too **faint** to detect the emission from an individual halo, it is the most **numerous** population in the Universe, which means that the DM "cumulative" signal or its spatial coherence might be observable.



Look at statistical correlations  
in the unresolved extragalactic sky

# Cross correlation with DM gravitational tracers

Lensing potential or  
number counts of galaxies  
trace the DM density

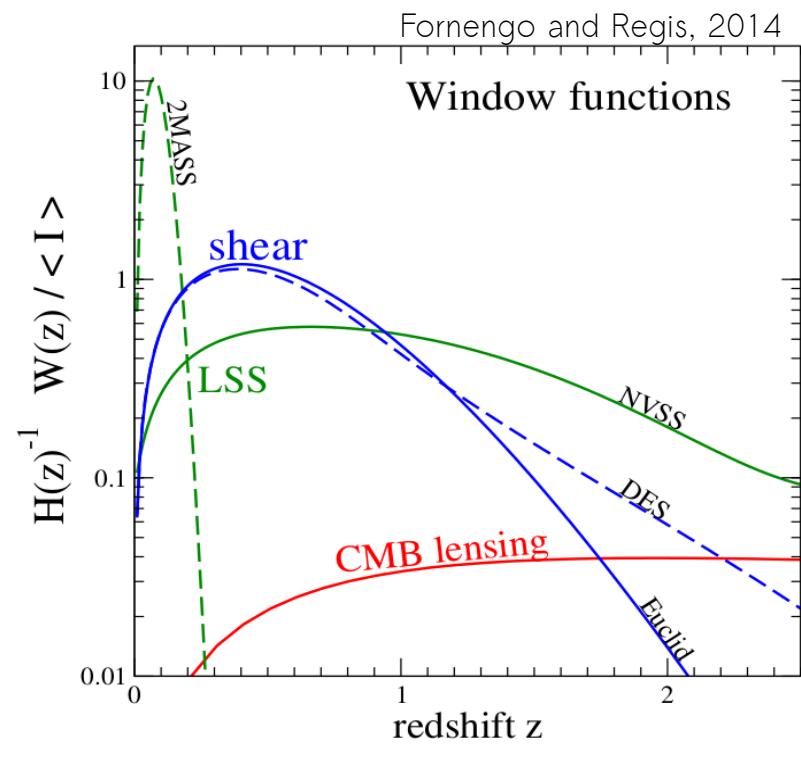


Correlation with the  
WIMP non-gravitational signal

## Angular power spectrum

$$C_\ell^{(ij)} = \frac{1}{\langle I_i \rangle \langle I_j \rangle} \int \frac{d\chi}{\chi^2} W_i(\chi) W_j(\chi) P_{ij}(k = \ell/\chi, \chi)$$

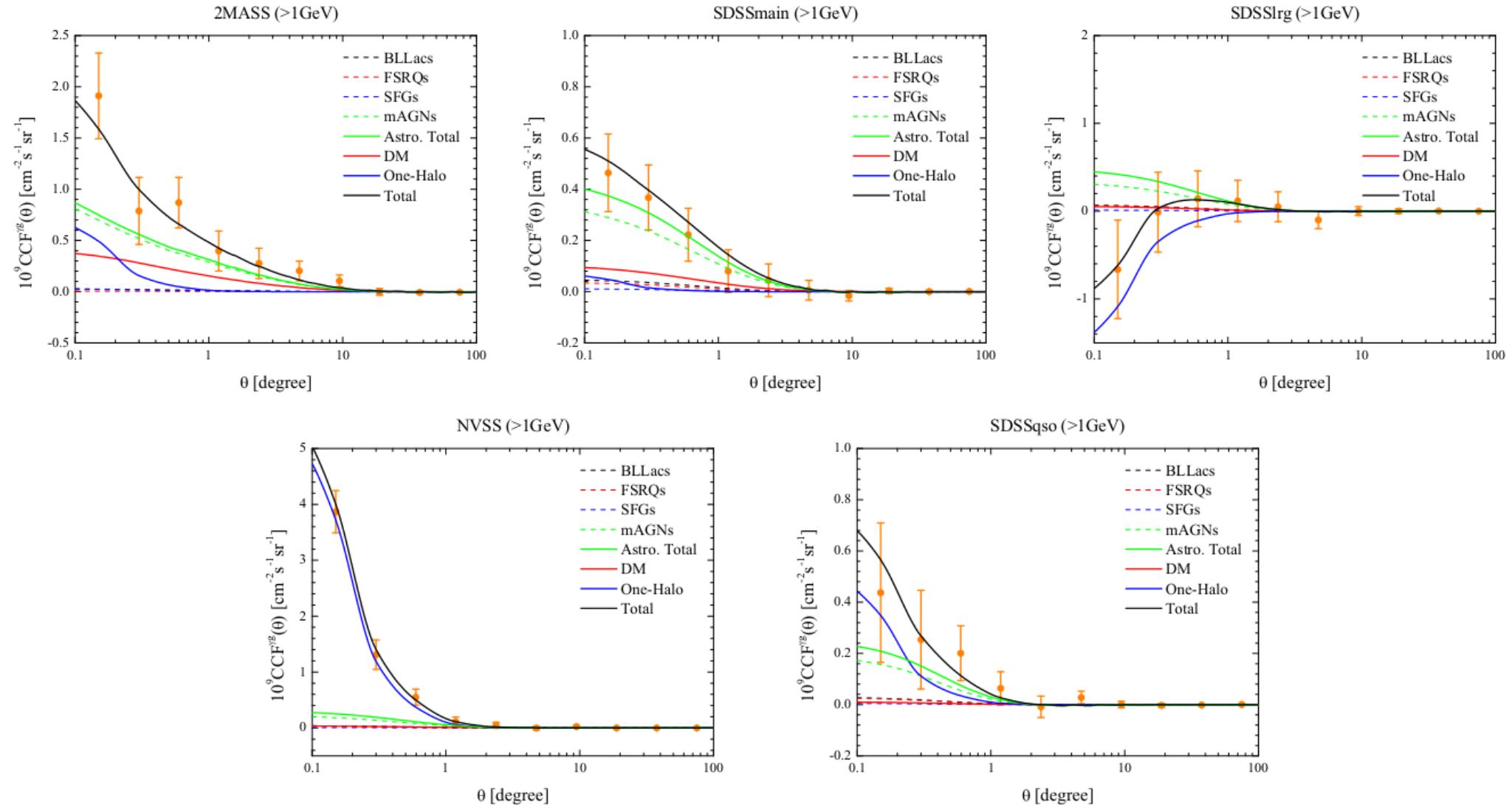
$$\text{Correlation function} \quad \omega(\theta) = \frac{1}{4\pi} \sum_{\ell=1}^{\infty} (2\ell + 1) C_\ell P_\ell(\cos \theta)$$



TOMOGRAPHIC  
APPROACH

# Observations

Measurement of **cross-correlation** between the 5yr Fermi-LAT unresolved sky and 5 different galaxy catalogues (Xia, Cuoco, Branchini, Viel, 2015)



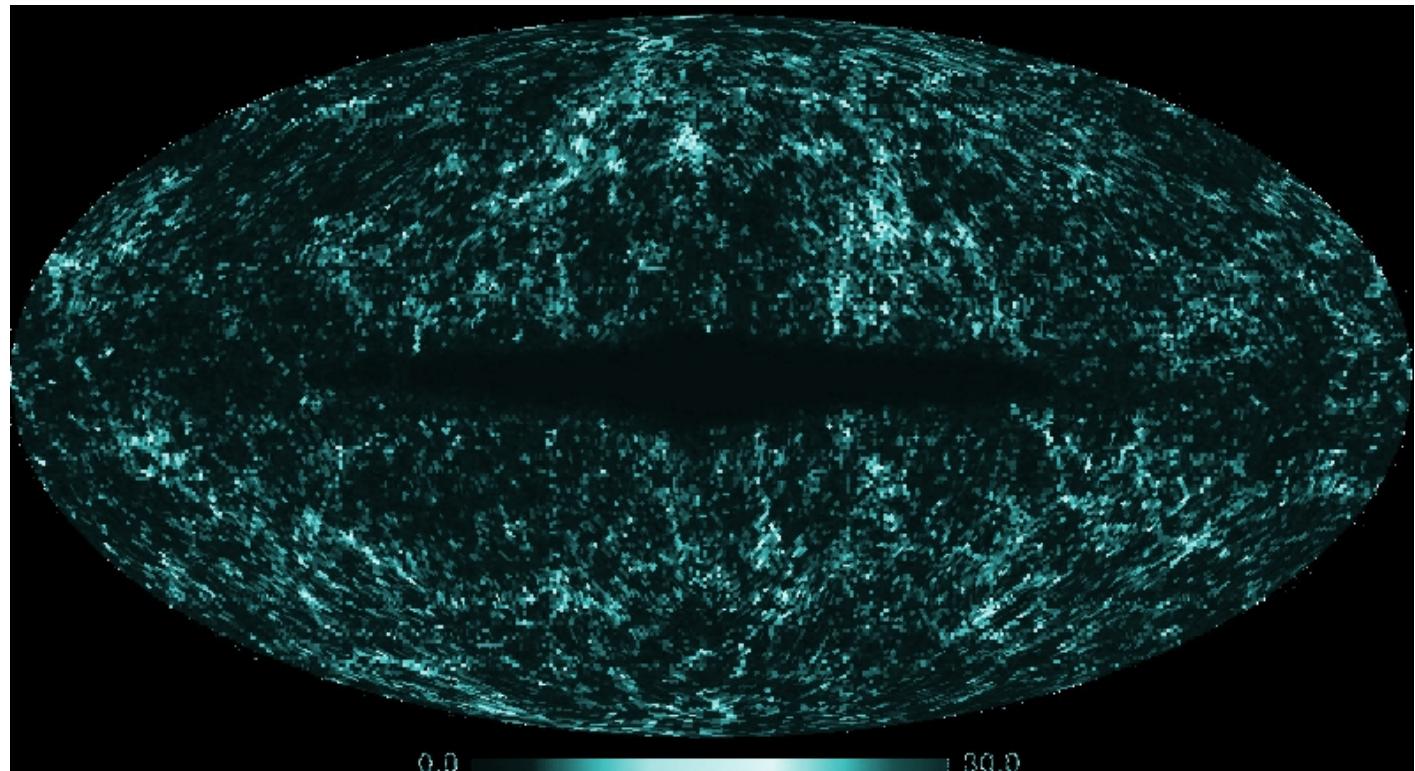
# DM and cross correlation of Fermi-LAT with the 2MASS catalogue

(Fornengo&Regis2013, Ando+2013, Ando2014, Regis+2015, Cuoco+2015)

## 2MASS

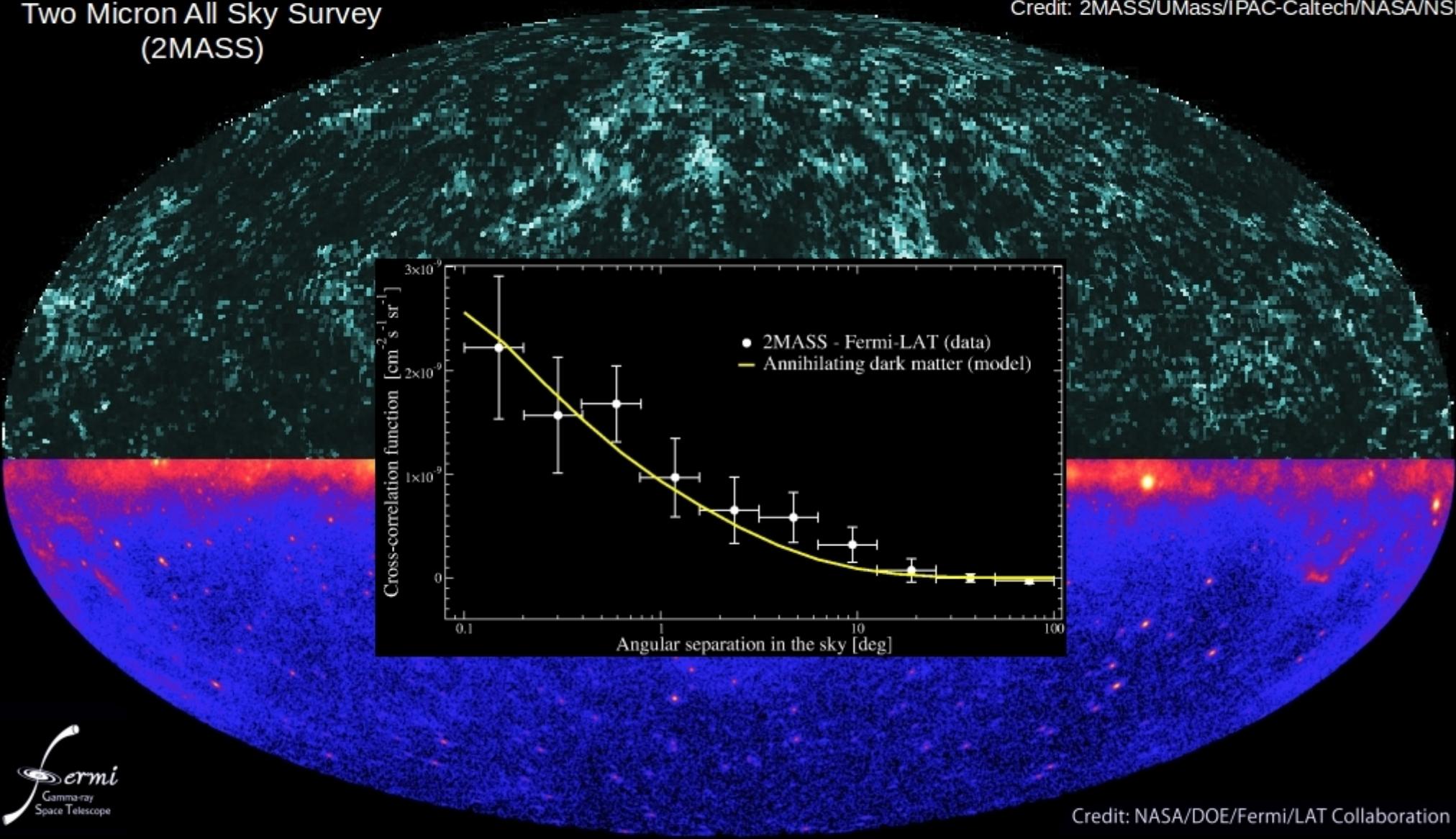
770000 galaxies with  
mean redshift  $z \sim 0.072$

2MASS Redshift Survey  
“only” 43500 galaxies  
but spectroscopic  
redshift  
(see Ando 2014)



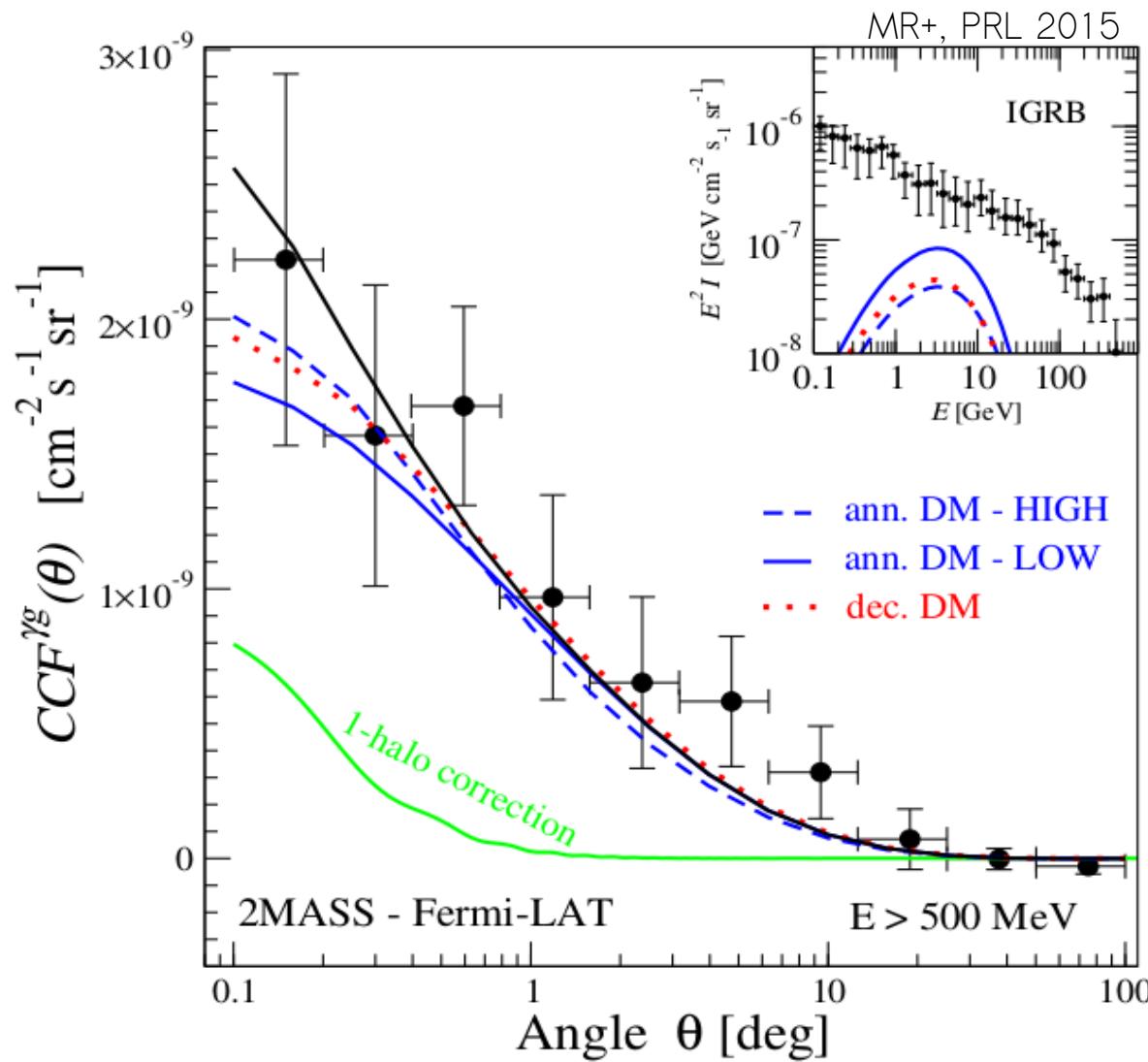
# Two Micron All Sky Survey (2MASS)

Credit: 2MASS/UMass/IPAC-Caltech/NASA/NSF



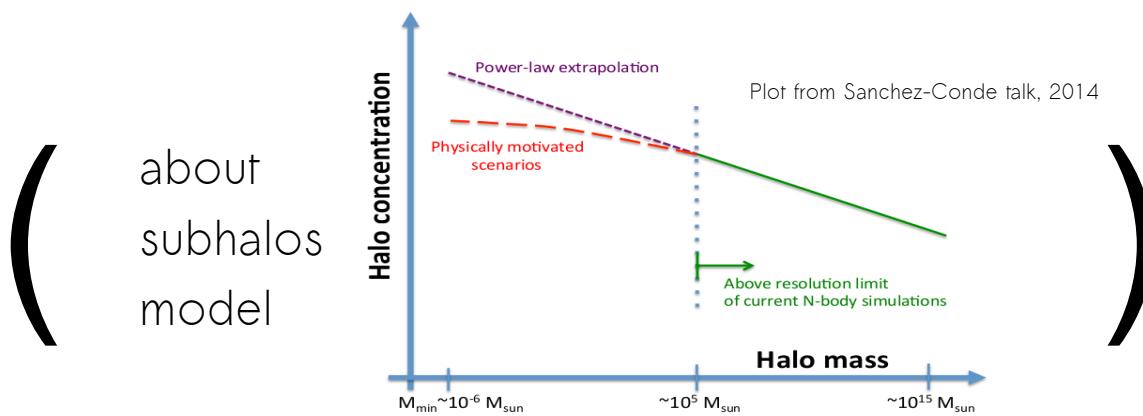
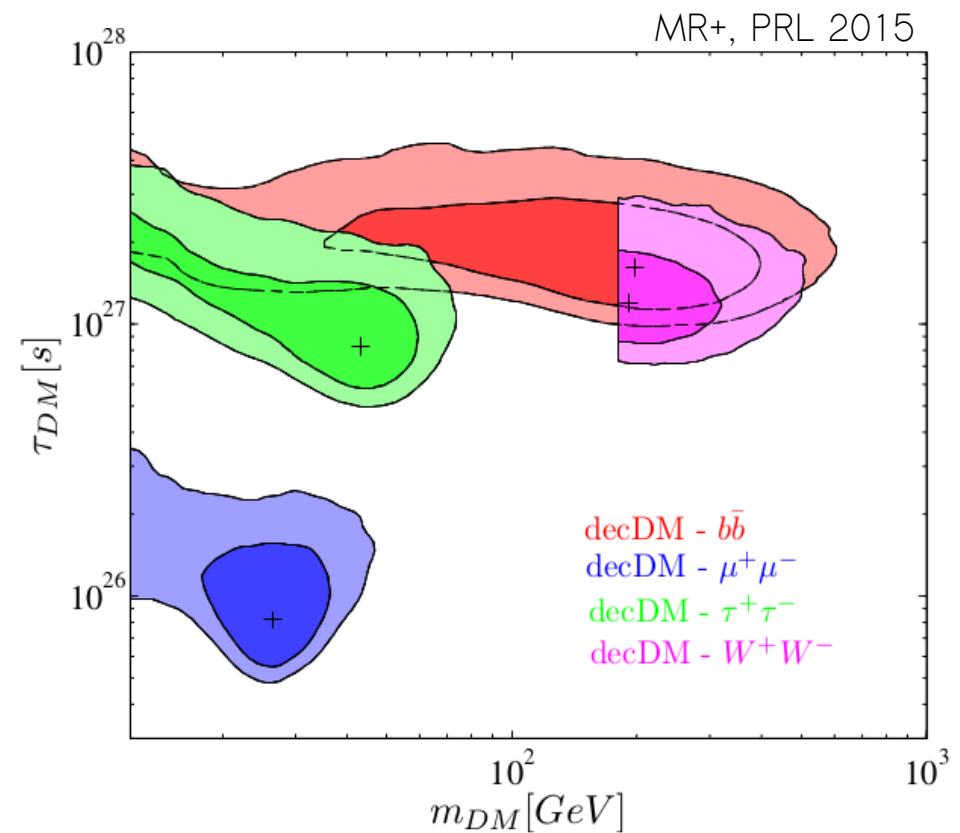
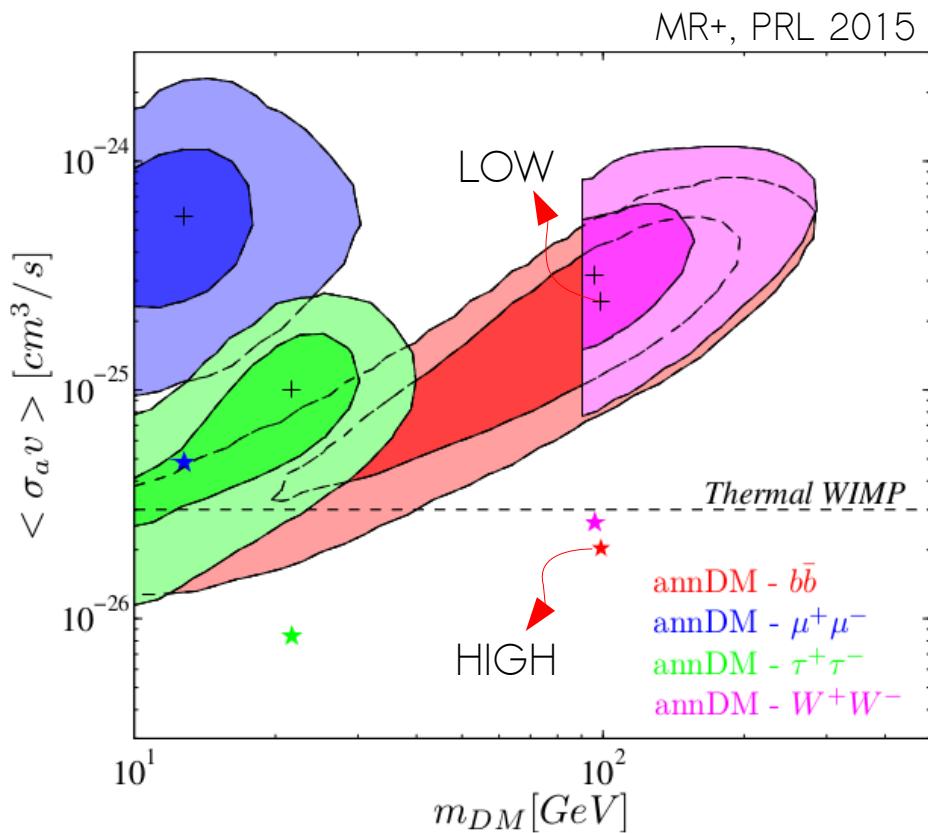
Credit: NASA/DOE/Fermi/LAT Collaboration

# DM interpretation

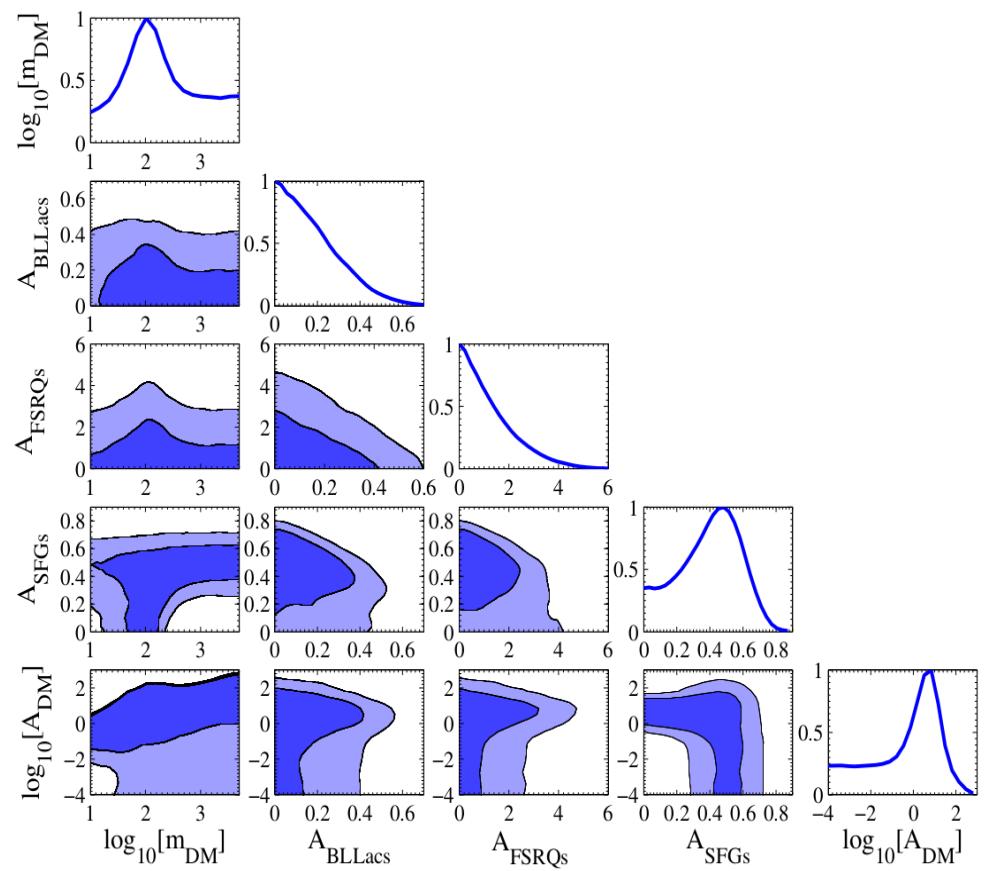
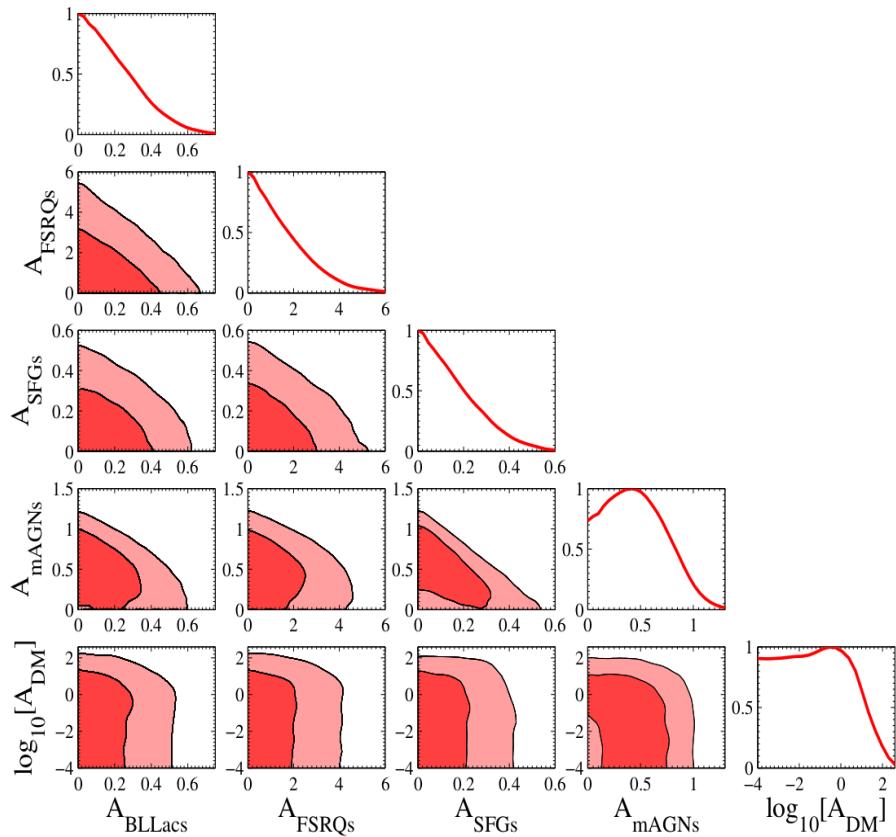


The particle DM signal **can fit** the measured cross-correlation between Fermi-LAT and 2MASS

# DM interpretation



# Disentanglement from astrophysical backgrounds

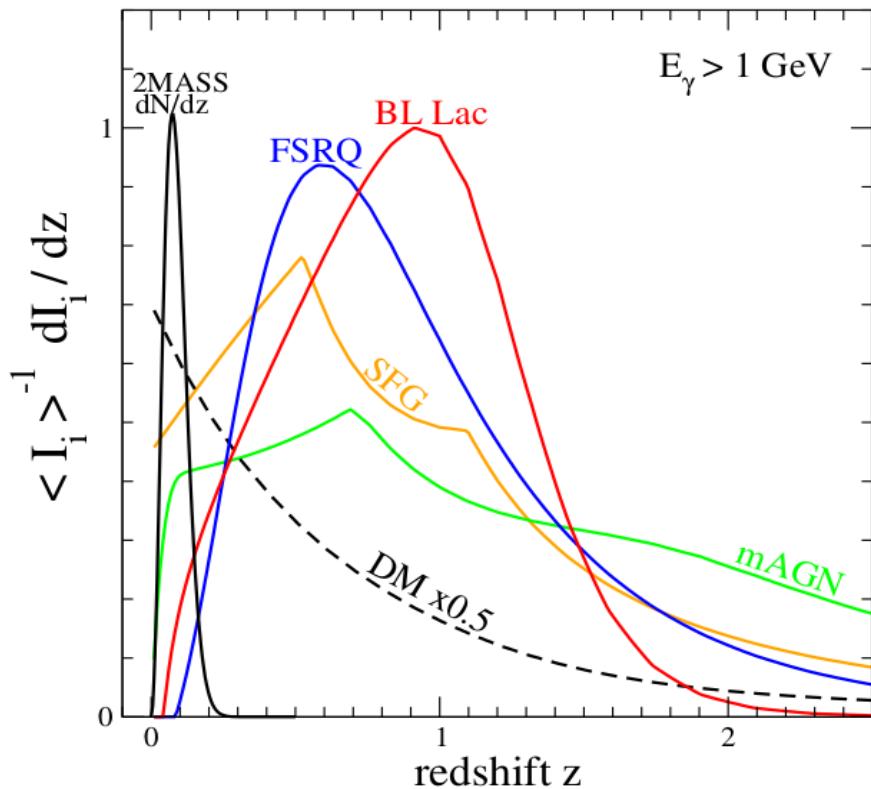


Xia, Cuoco, Regis, Branchini, Fornengo, Viel, 2015

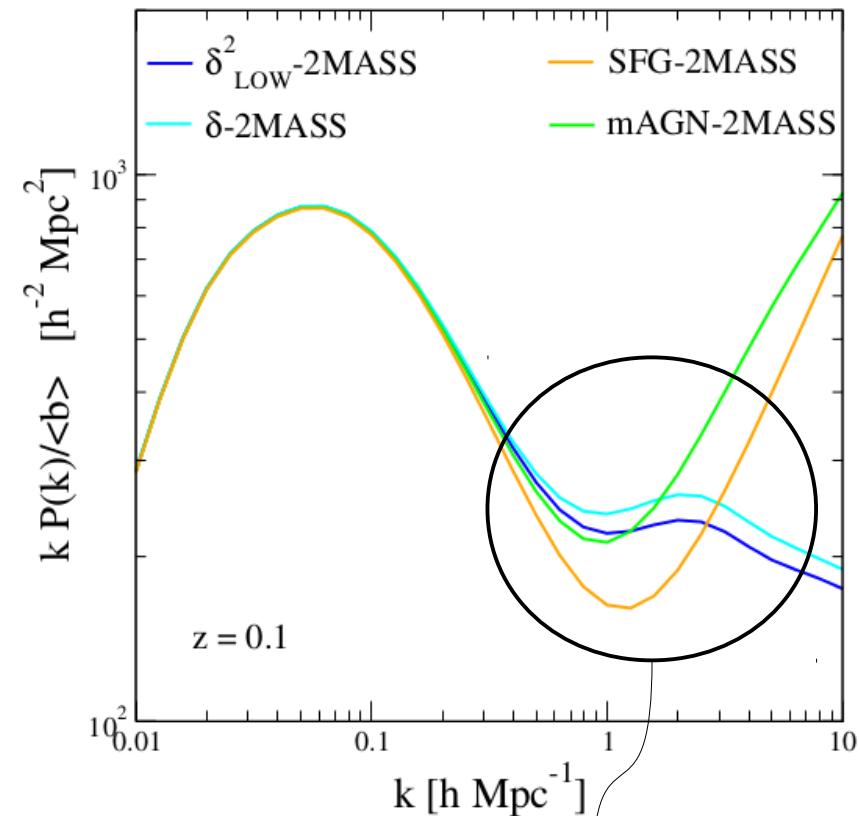
# Disentanglement from astrophysical backgrounds

We can exploit predicted **differences** in:

Window functions



3D power spectra

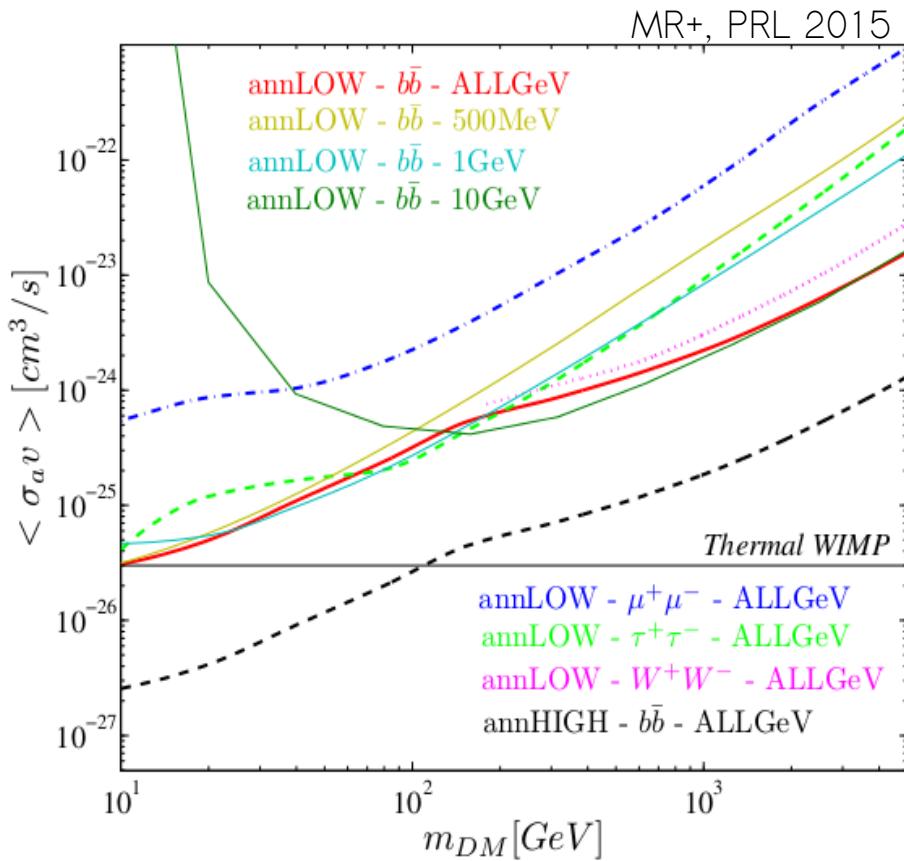


+ energy spectrum (in the usual way)

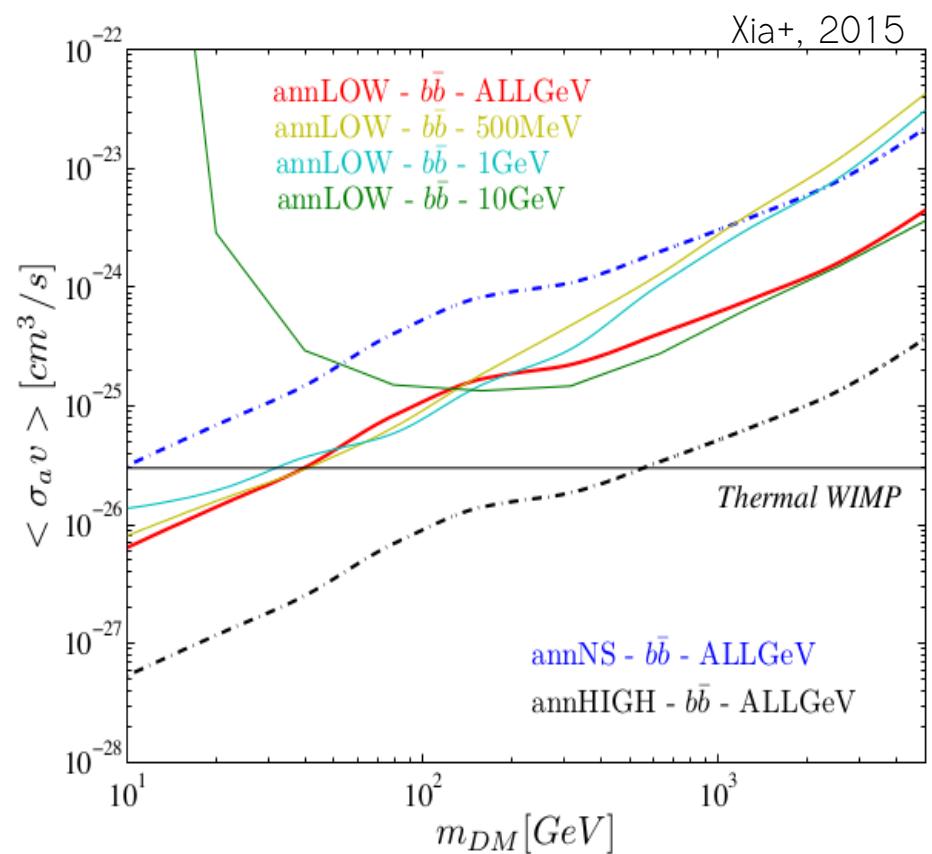
It is (roughly speaking) mapped in the multipole range  $100 < l < 1000$

# Bounds on WIMPs

DM-only



including astro sources



# Future directions/questions

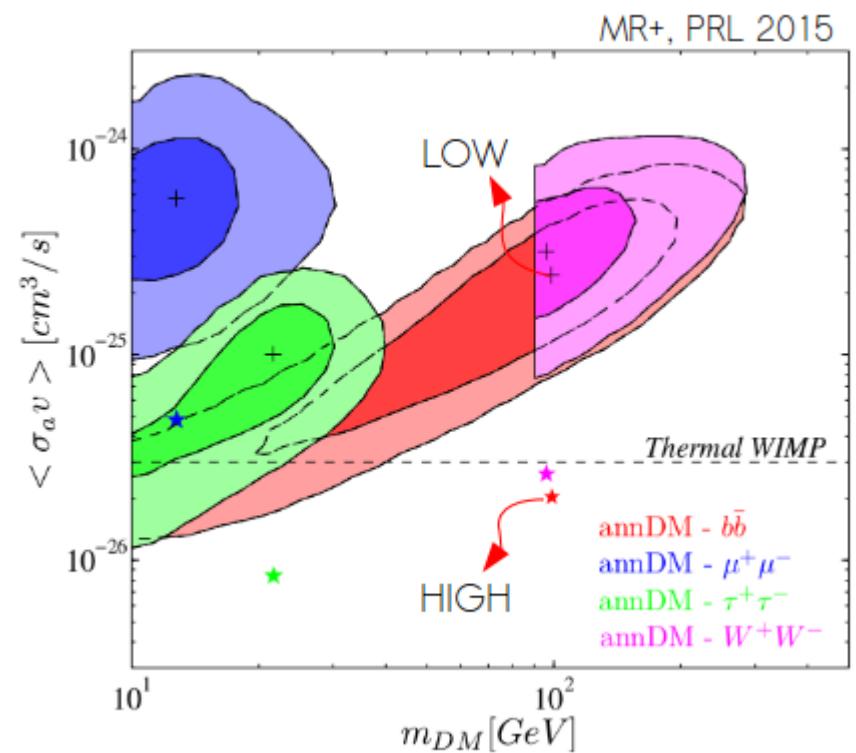
- Energy spectrum
- Low-z tomography
- Smaller scales
- Better knowledge of **astrophysical GLF at low z**
- **Lensing** surveys: cleaner test, larger non-linear term (Camera+ 2012, 2014)

# Future directions/questions

- Energy spectrum
- Low-z tomography
- Smaller scales
- Better knowledge of **astrophysical GLF at low z**
- Lensing surveys: cleaner test, larger non-linear term (Camera+ 2012, 2014)

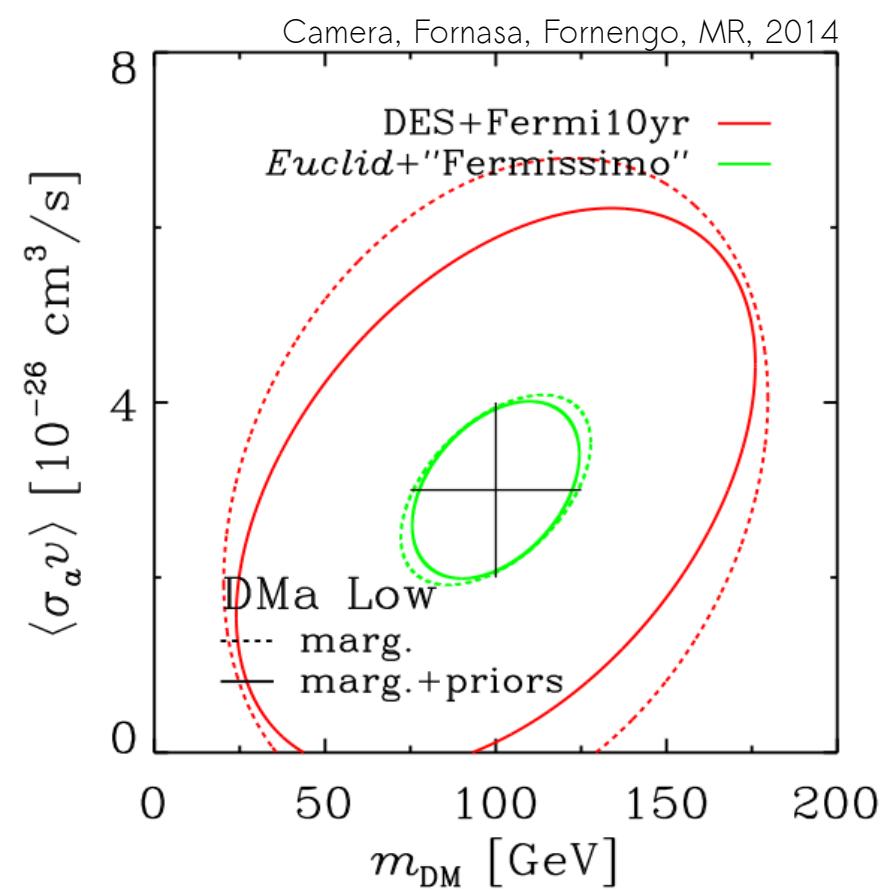
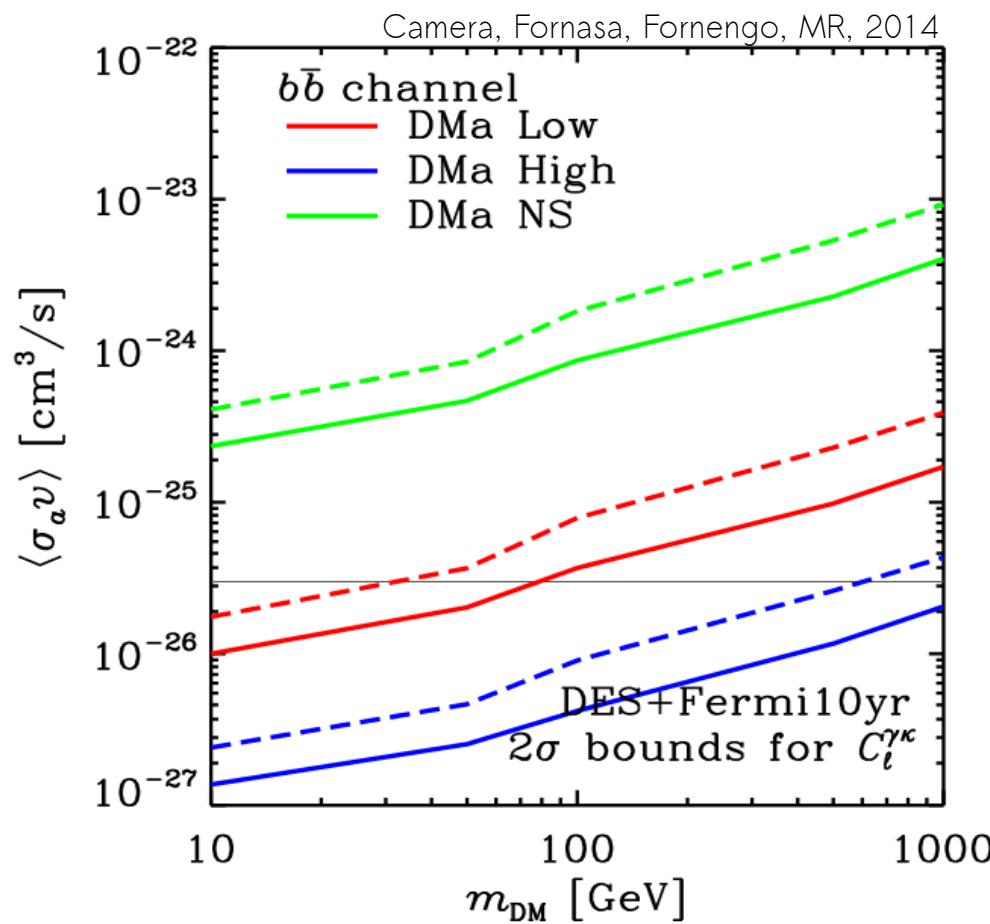
Is the DM interpretation  
viable?

i.e. is it compatible with other  
bounds (like dSphs)?



Backup

# Prospects for DM detection/bounds using cross-correlation with shear



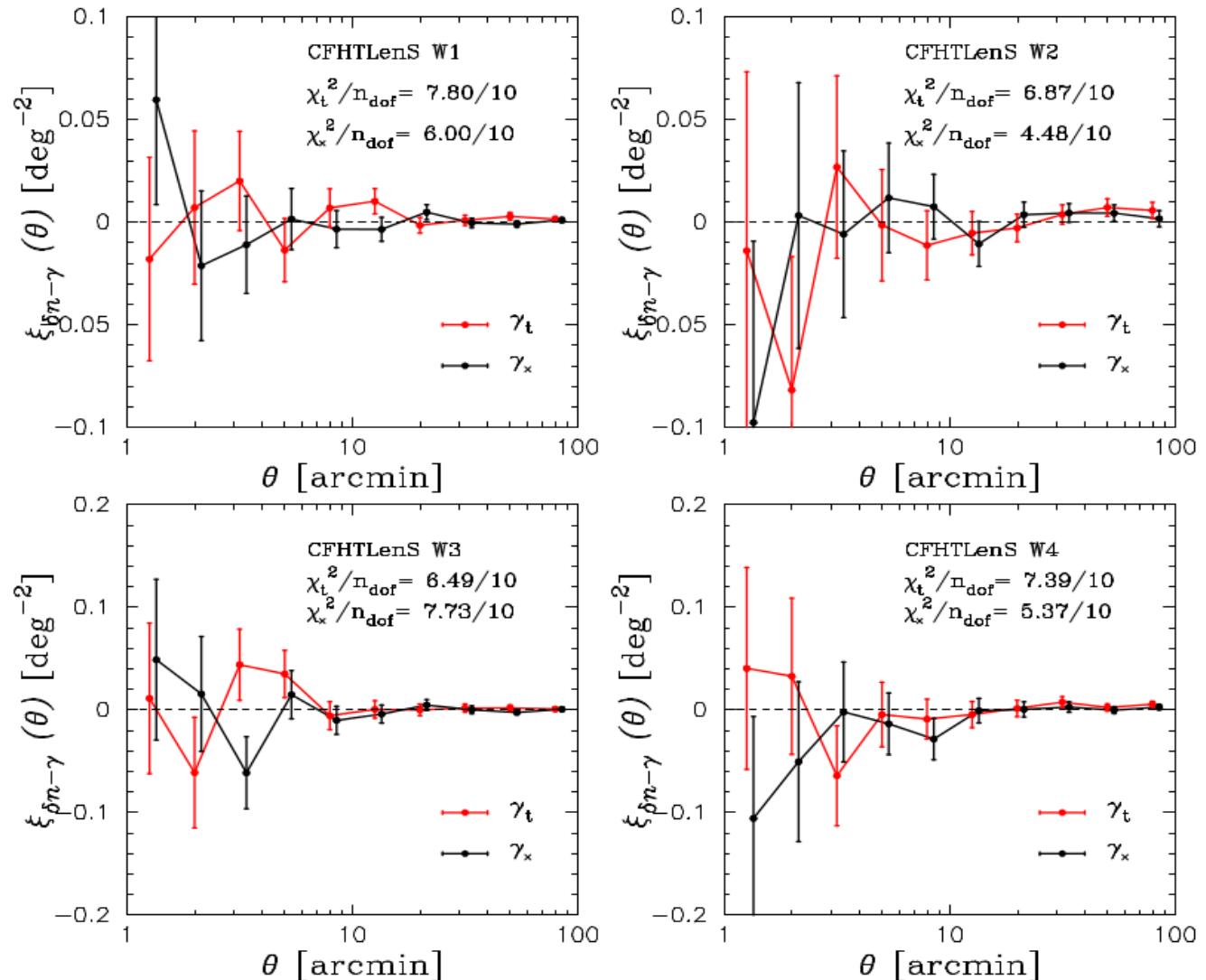
# First attempt of measurement

(of the cross-correlation between cosmic shear and the EGB)

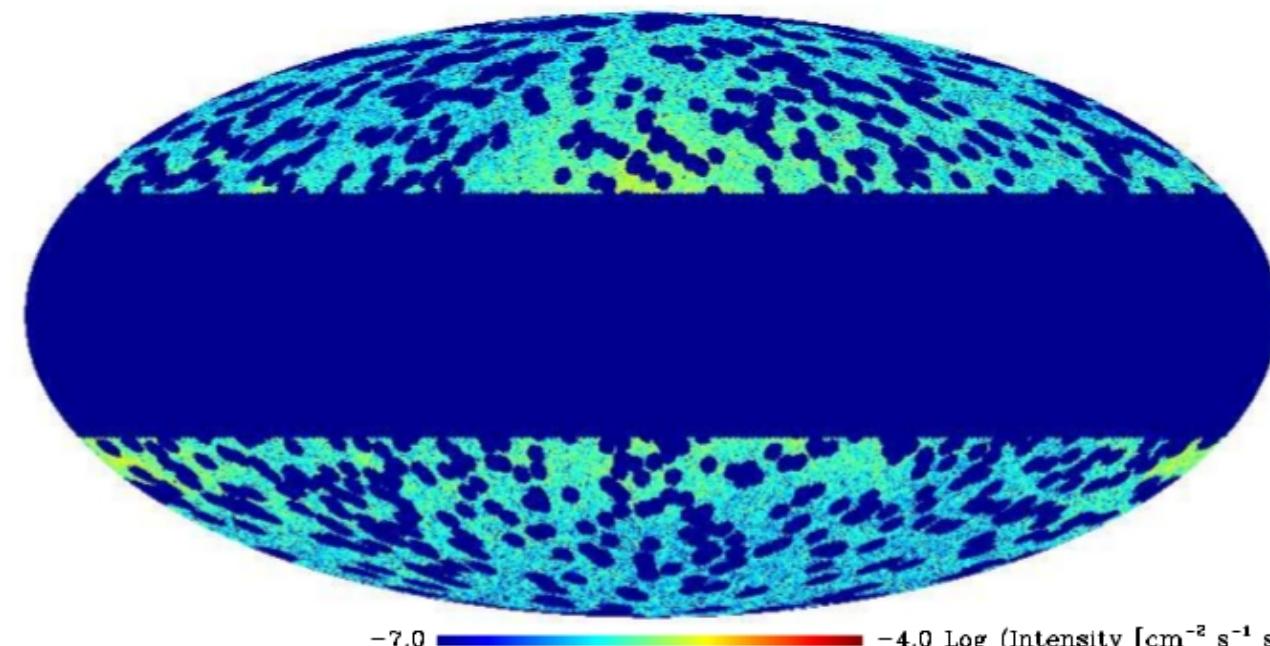
Canada-France-Hawaii Lensing Survey (CFHTLenS) + 5yr Fermi LAT data

(Shirasaki, Horiuchi, Yoshida, 2014)

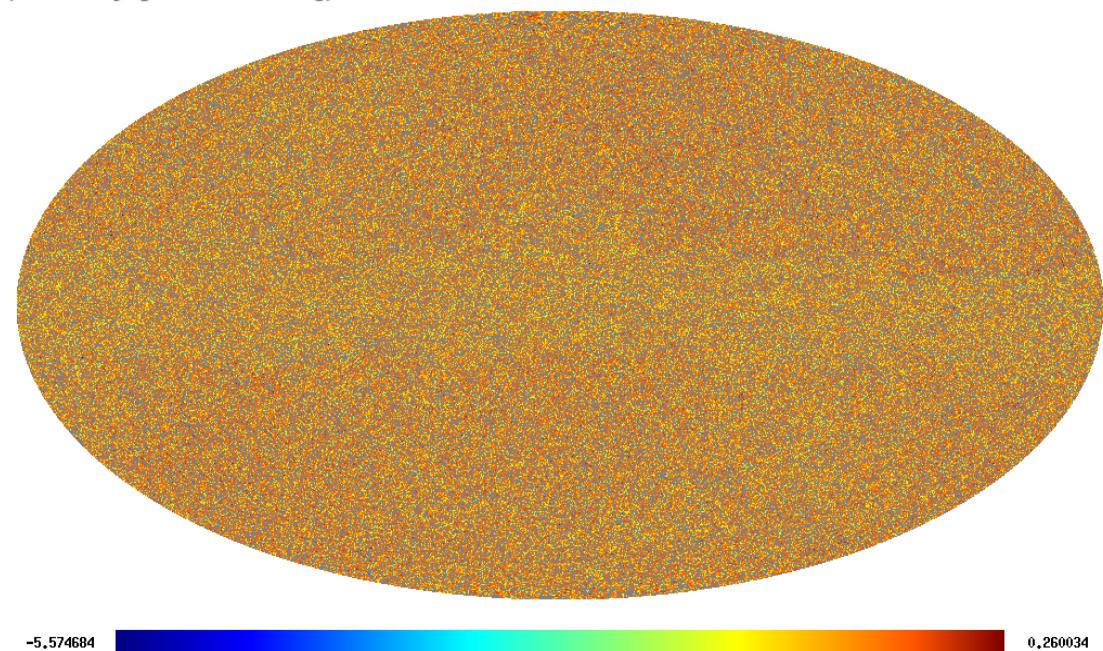
CFHTLenS  
surveyed four  
separated fields for a  
total of  
~150 sq. deg.  
with  
11 gal/arcmin<sup>2</sup>  
  
(DES → 5000 sq.deg.)



# Cross correlation with CMB lensing

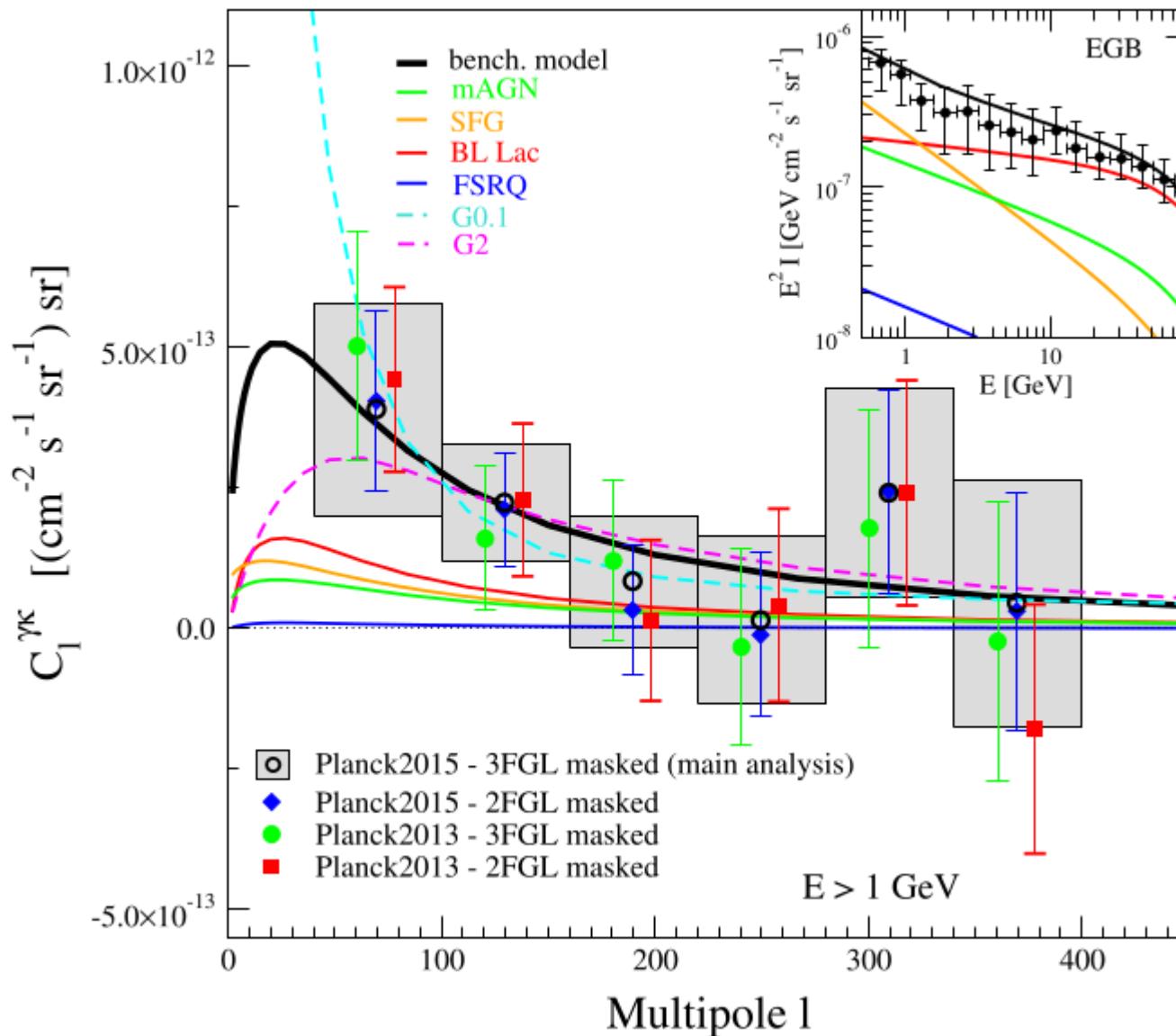


Fermi-LAT 6yr data



Planck 2015 data release

# Cross correlation with CMB lensing



3 $\sigma$  evidence

Fornengo, Perotto, Regis, Camera  
ApJ 2015

Direct evidence of the  
extragalactic origin of the  
diffuse  $\gamma$ -ray background

# Future observations

**Gamma**: Fermi-LAT Pass-8, GAMMA-400, HERD, DAMPE

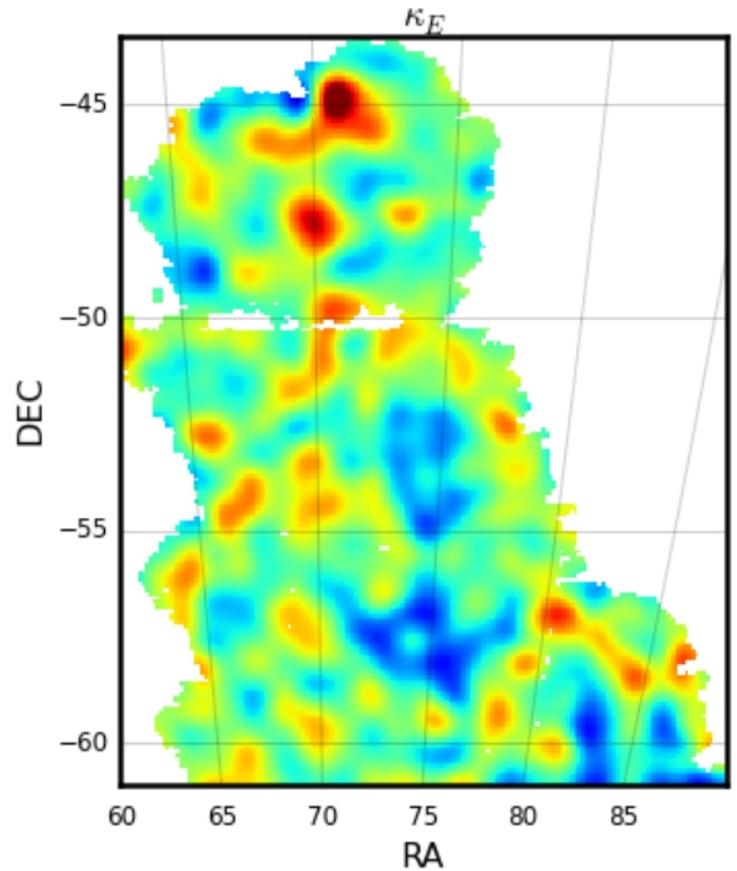
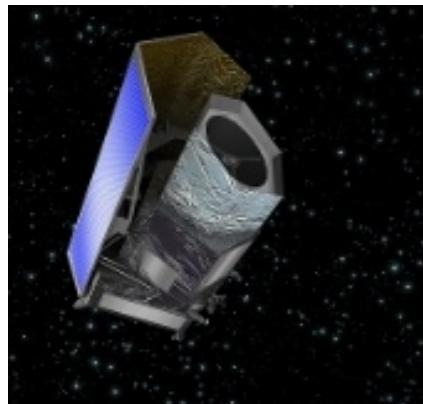
**Radio**: SKA and its precursors (LOFAR, ASKAP)

**X-rays**: eROSITA, ATHENA, ..

Vikram+, 2015 (DES)

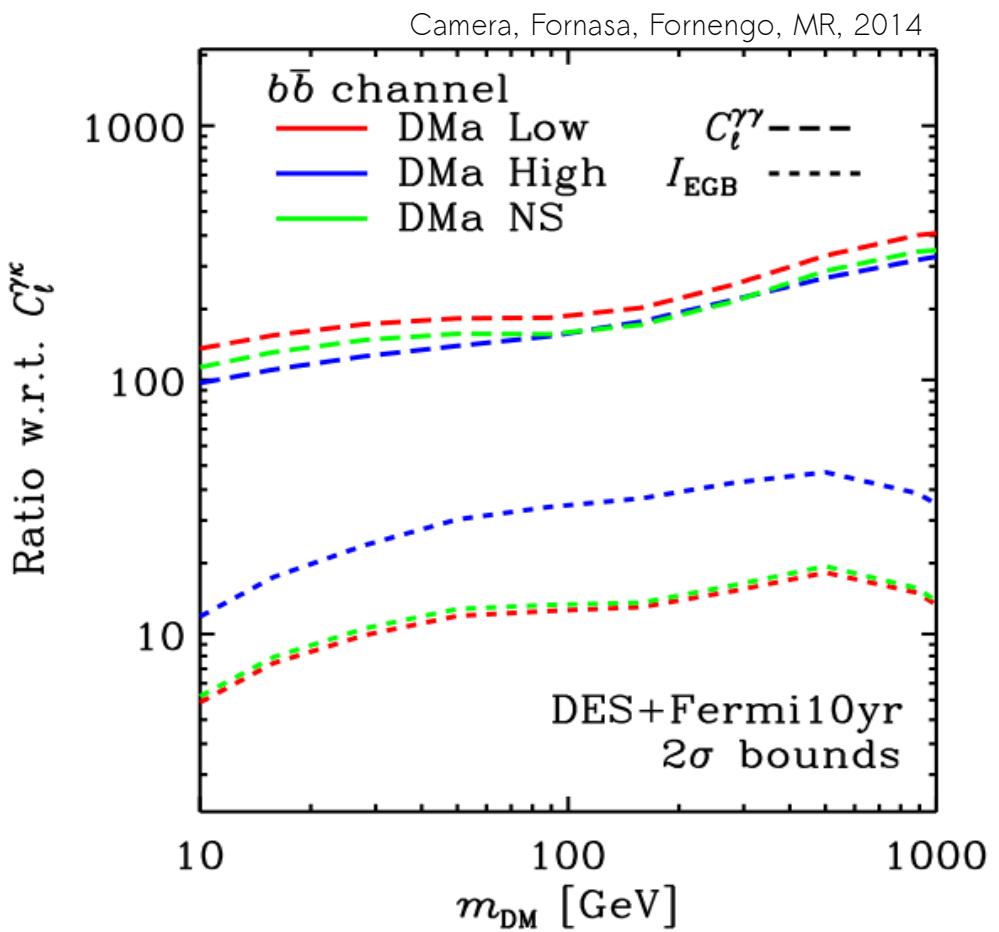
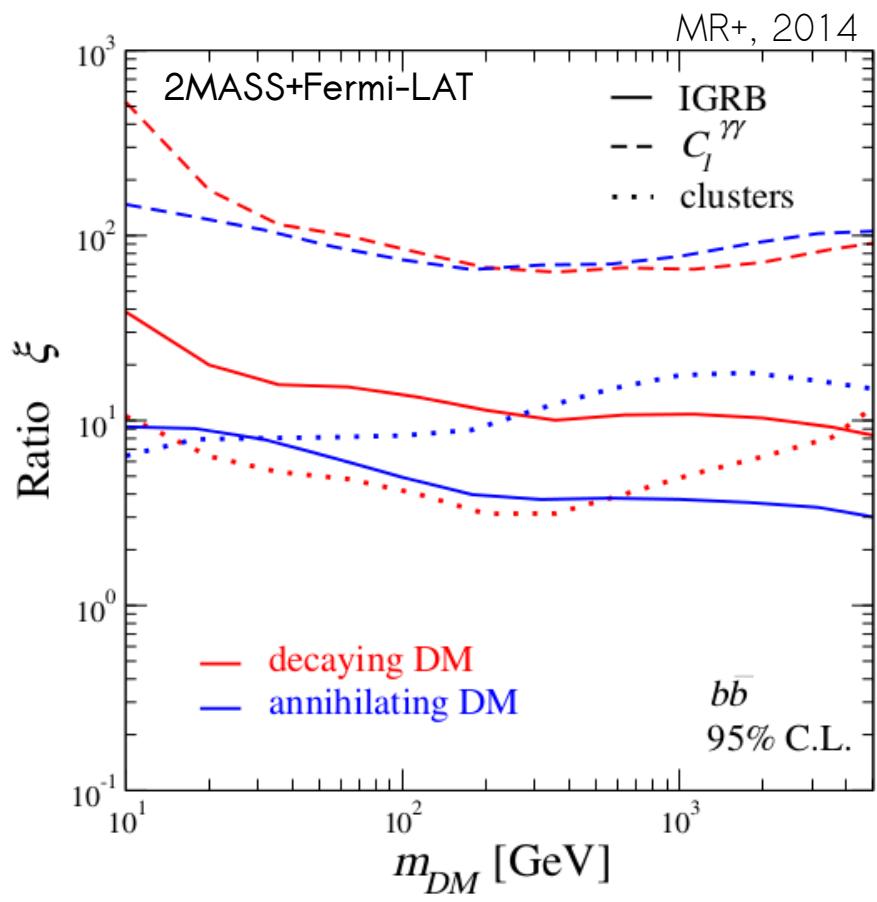
**Lensing and galaxy surveys**:

HSC, DES, eBOSS, DESI, LSST, Euclid, ..

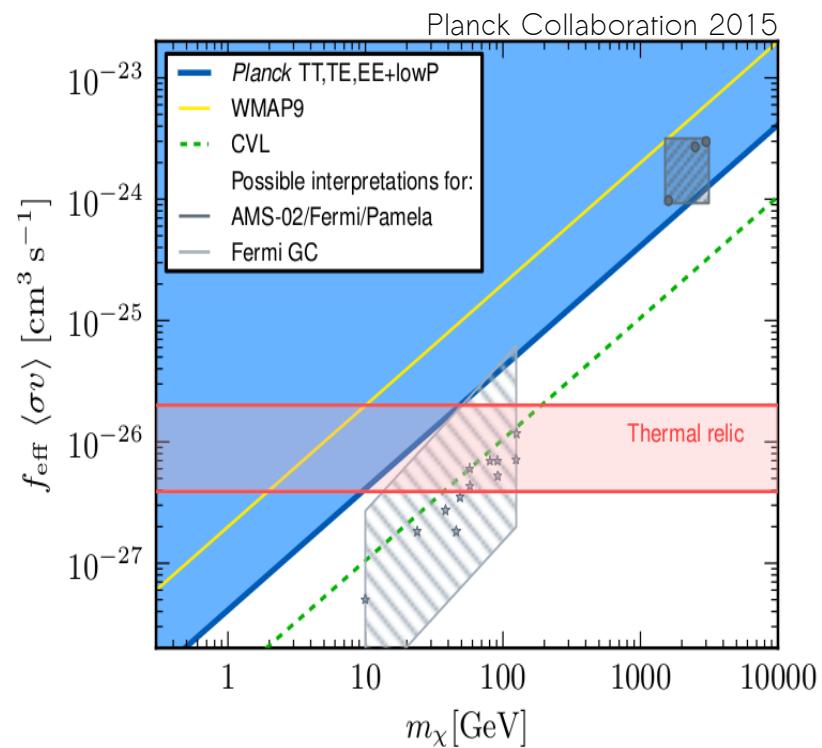
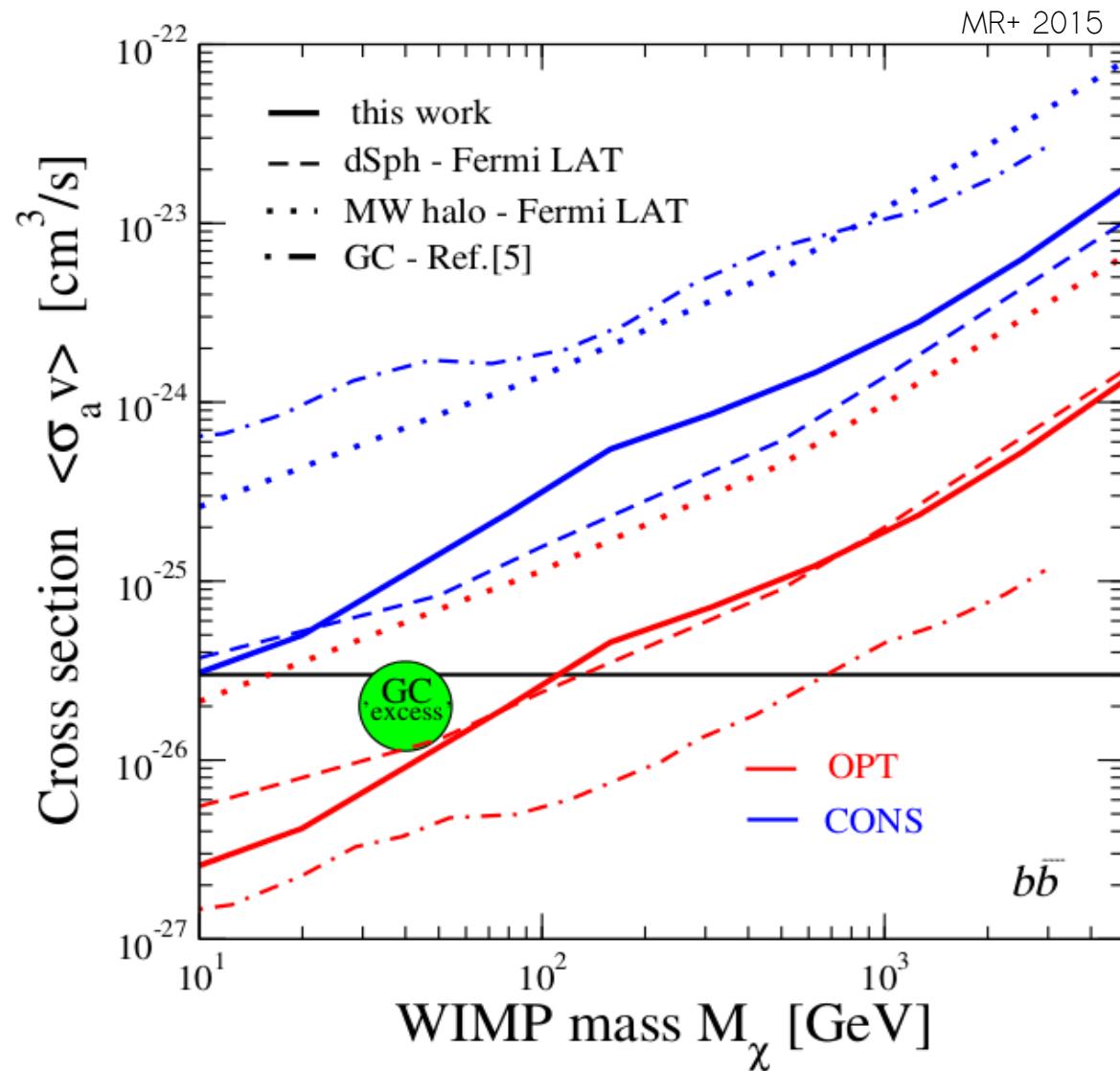


# WTF?

(Where To Find dark matter?)

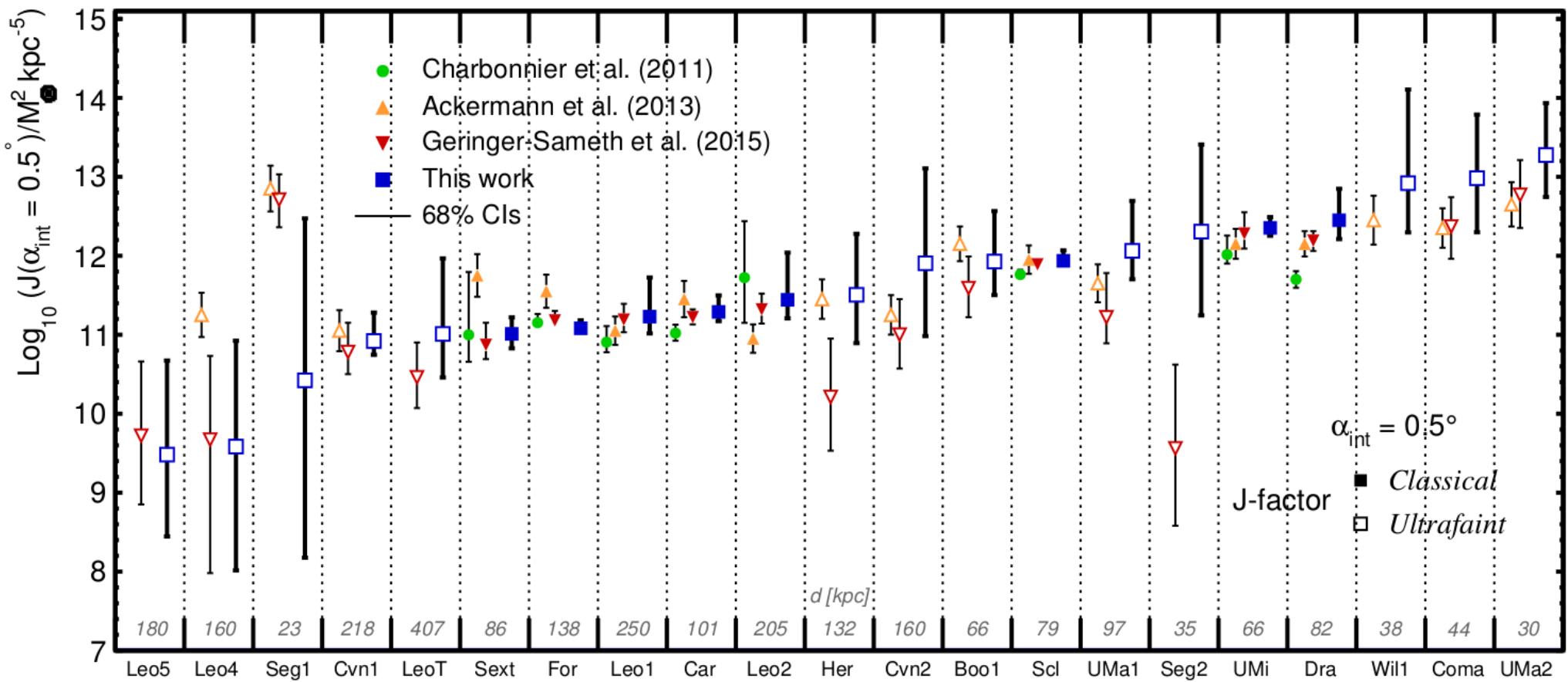


# Comparison with other methods



# J-factor

Bonnivard et al., 2015

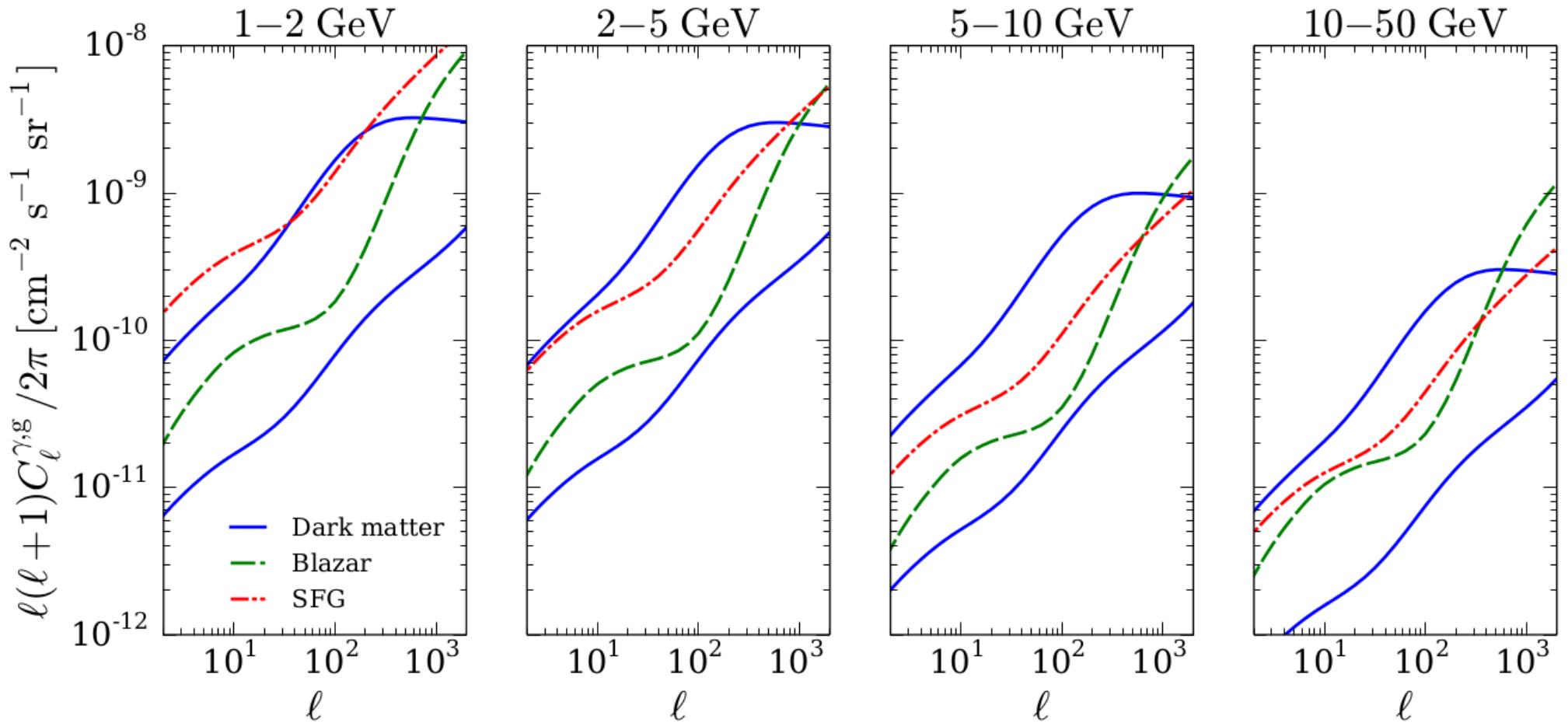


# Cross correlation with 2MASS: predictions

$m_{\text{dm}} = 100 \text{ GeV}$ ,  $\langle \sigma v \rangle = 3 \times 10^{-26} \text{ cm}^3 \text{ s}^{-1}$

$b\bar{b}$  annihilation channel

Ando, 2014



# Two-point statistics

Angular power spectrum of fluctuations

$$\delta I_g(\vec{n}) \equiv I_g(\vec{n}) - \langle I_g \rangle \quad \delta I_g(\vec{n}) = \langle I_g \rangle \sum_{\ell m} a_{\ell m} Y_{\ell m}(\vec{n})$$

$$C_\ell^{(ij)} = \frac{1}{2\ell + 1} \left\langle \sum_{m=-\ell}^{\ell} a_{\ell m}^{(i)} a_{\ell m}^{(j)*} \right\rangle$$

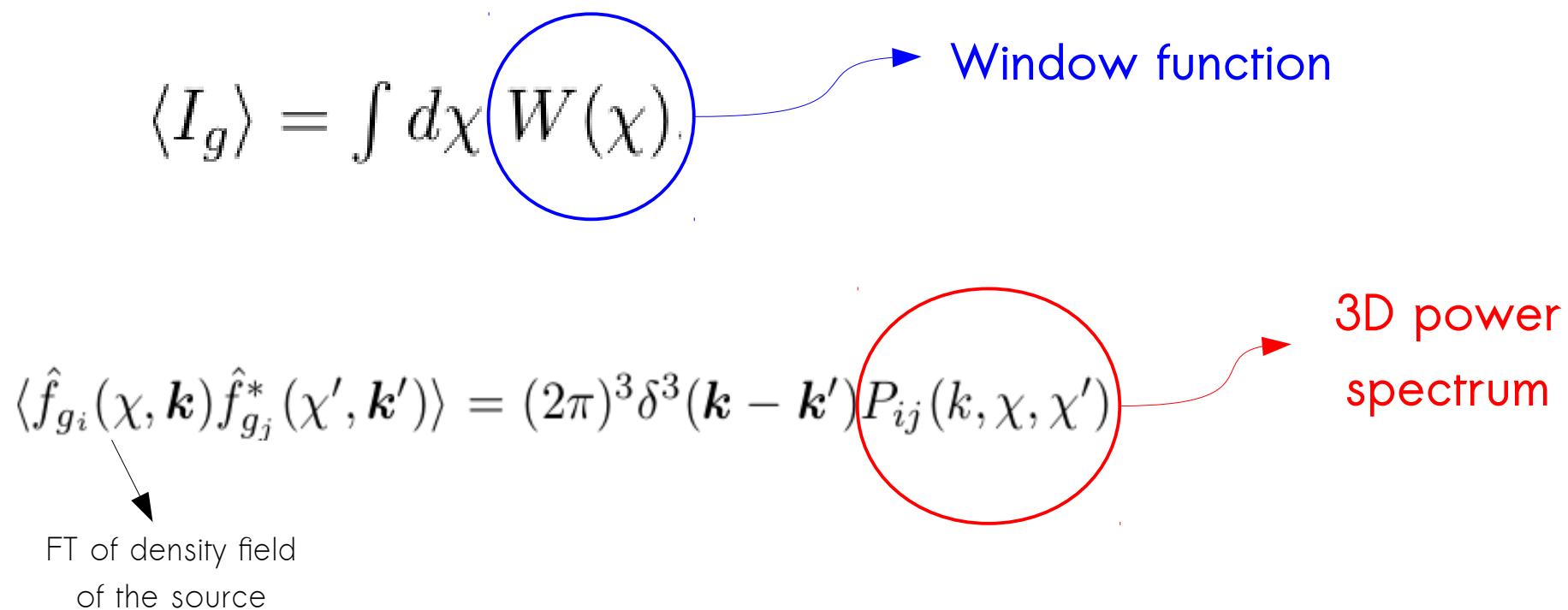
Correlation function

$$\omega(\theta) = \frac{1}{4\pi} \sum_{\ell=1}^{\infty} (2\ell + 1) C_\ell P_\ell(\cos \theta)$$

# Angular power spectrum

General expression for the angular power spectrum:

$$C_\ell^{(ij)} = \frac{1}{\langle I_i \rangle \langle I_j \rangle} \int \frac{d\chi}{\chi^2} W_i(\chi) W_j(\chi) P_{ij}(k = \ell/\chi, \chi)$$



# Cross correlation

The idea is to have an **accurate tracer** of the DM distribution (gravitational potential) in the Universe, to be used as a filter in order to separate the **DM non-gravitational signal** from other astrophysical emissions.

$$C_\ell^{(ij)} = \frac{1}{2\ell+1} \left\langle \sum_{m=-\ell}^{\ell} a_{\ell m}^{(i)} a_{\ell m}^{(j)*} \right\rangle$$

Gravitational tracer  
("filter")

Gamma-ray sky  
(or X-ray, radio, ... sky)

# Window function

It **weights** the contribution at different redshifts.

## Gravitational

$W_\kappa$  lensing

$W_g$  # of galaxies

## Non-gravitational ( $\gamma$ -rays, X-rays, radio)

$W_{\text{ann}}$  annihilating DM

$W_{\text{dec}}$  decaying DM

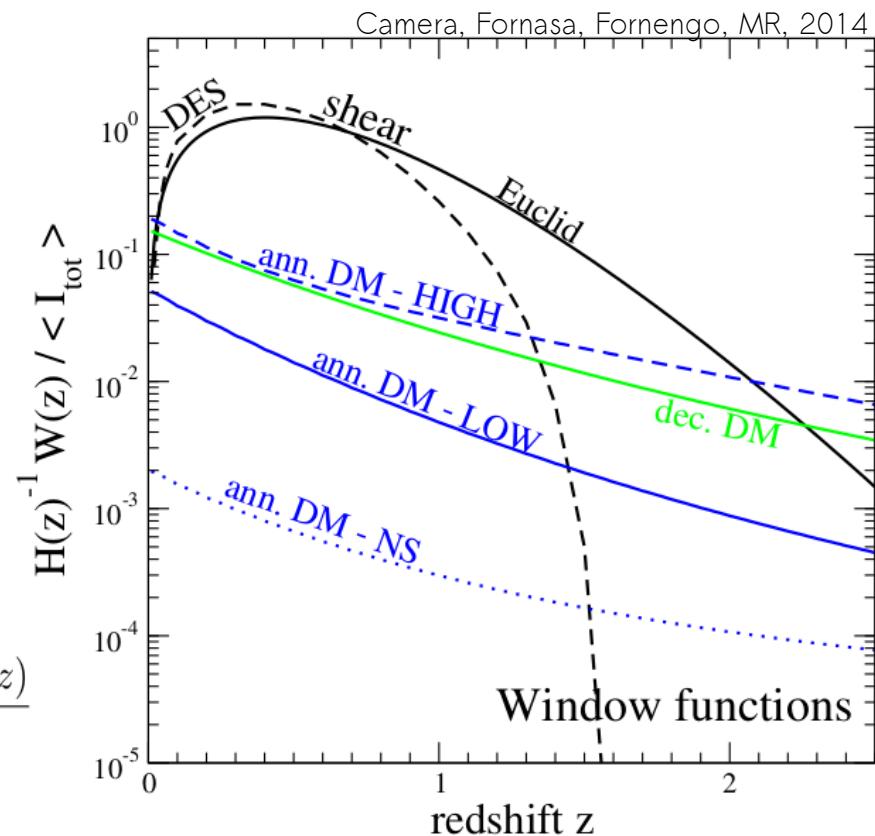
$W_{\text{astro}}$  astrophysical non-thermal sources

## Annihilating DM

$$W(E, z) = \frac{(\Omega_{DM} \rho_c)^2}{4\pi} \frac{\langle \sigma_a v \rangle}{2m_\chi^2} (1+z)^3 \Delta^2(z) \frac{dN_a[E(1+z)]}{dE} e^{-\tau[E(1+z), z]}$$

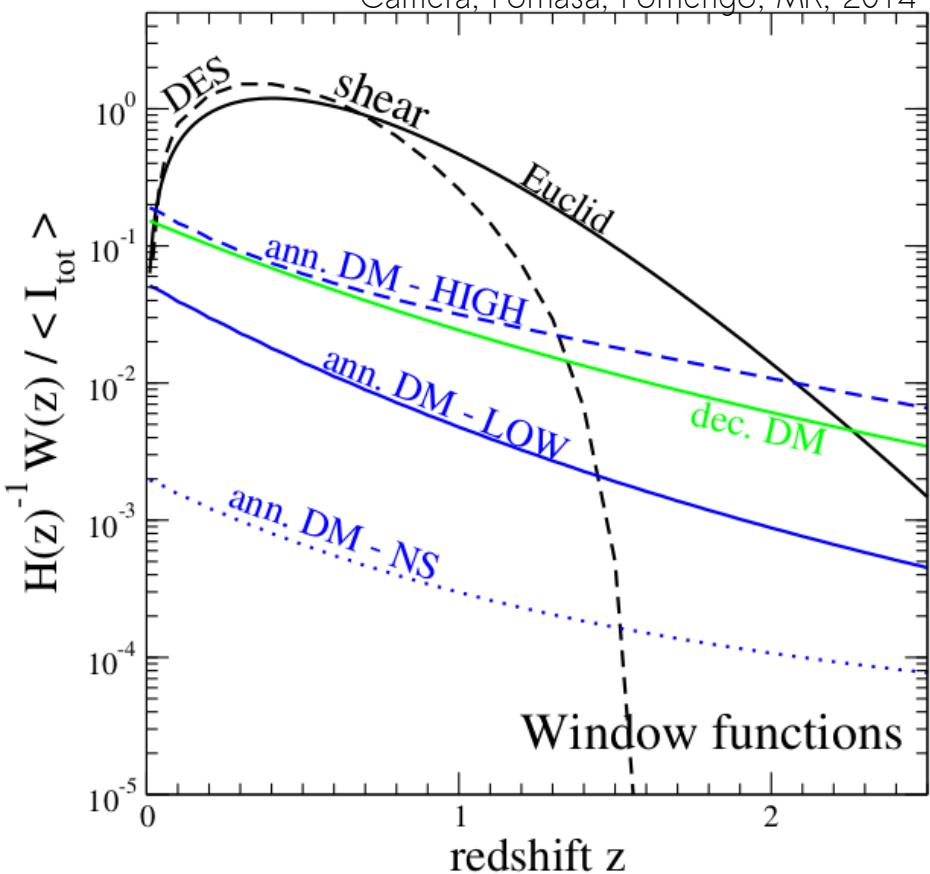
## Clumping factor (or flux multiplier):

$$\Delta^2(z) \equiv \frac{\langle \rho_{\text{DM}}^2 \rangle}{\bar{\rho}_{\text{DM}}^2} = \int_{M_{\min}}^{M_{\max}} dM \frac{dn}{dM}(M, z) [1 + b_{\text{sub}}(M, z)] \int d^3x \frac{\rho_h^2(\mathbf{x}|M, z)}{\bar{\rho}_{\text{DM}}^2}$$



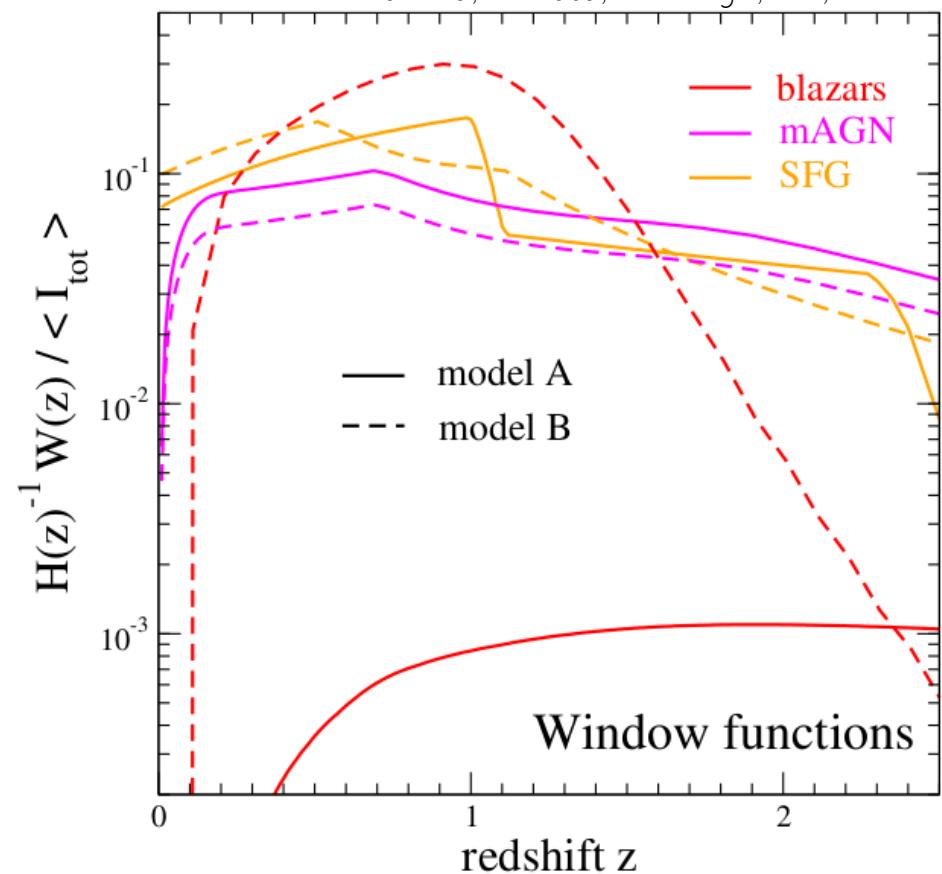
# Window functions

Camera, Fornasa, Fornengo, MR, 2014



DM and lensing probes  
peaked at low  $z$

Camera, Fornasa, Fornengo, MR, 2014



Astrophysical sources  
peaked at  $z > 0.5$

# 3D power spectrum

It can be obtained from:

- Simulations
- Halo model approach
- (- Squeezed bispectrum?)

## Halo model

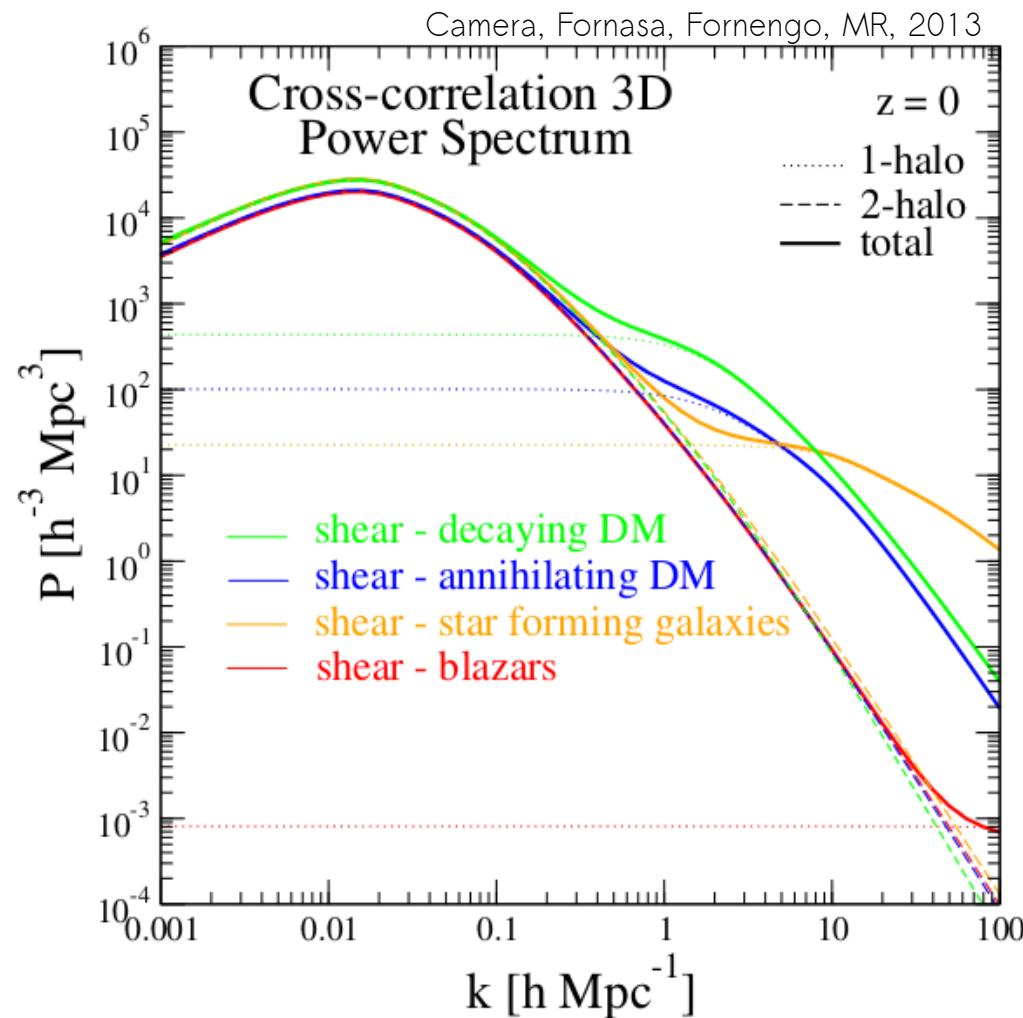
$$P_{ij}(k) = P_{ij}^{1h}(k) + P_{ij}^{2h}(k)$$

$$\begin{aligned} P_{ij}^{1h}(k) &= \int dm \frac{dn}{dm} \hat{f}_i^*(k|m) \hat{f}_j(k|m) \\ P_{ij}^{2h}(k) &= \left[ \int dm_1 \frac{dn}{dm_1} b_i(m_1) \hat{f}_i^*(k|m_1) \right] \left[ \int dm_2 \frac{dn}{dm_2} b_j(m_2) \hat{f}_j(k|m_2) \right] P^{\text{lin}}(k) \end{aligned}$$

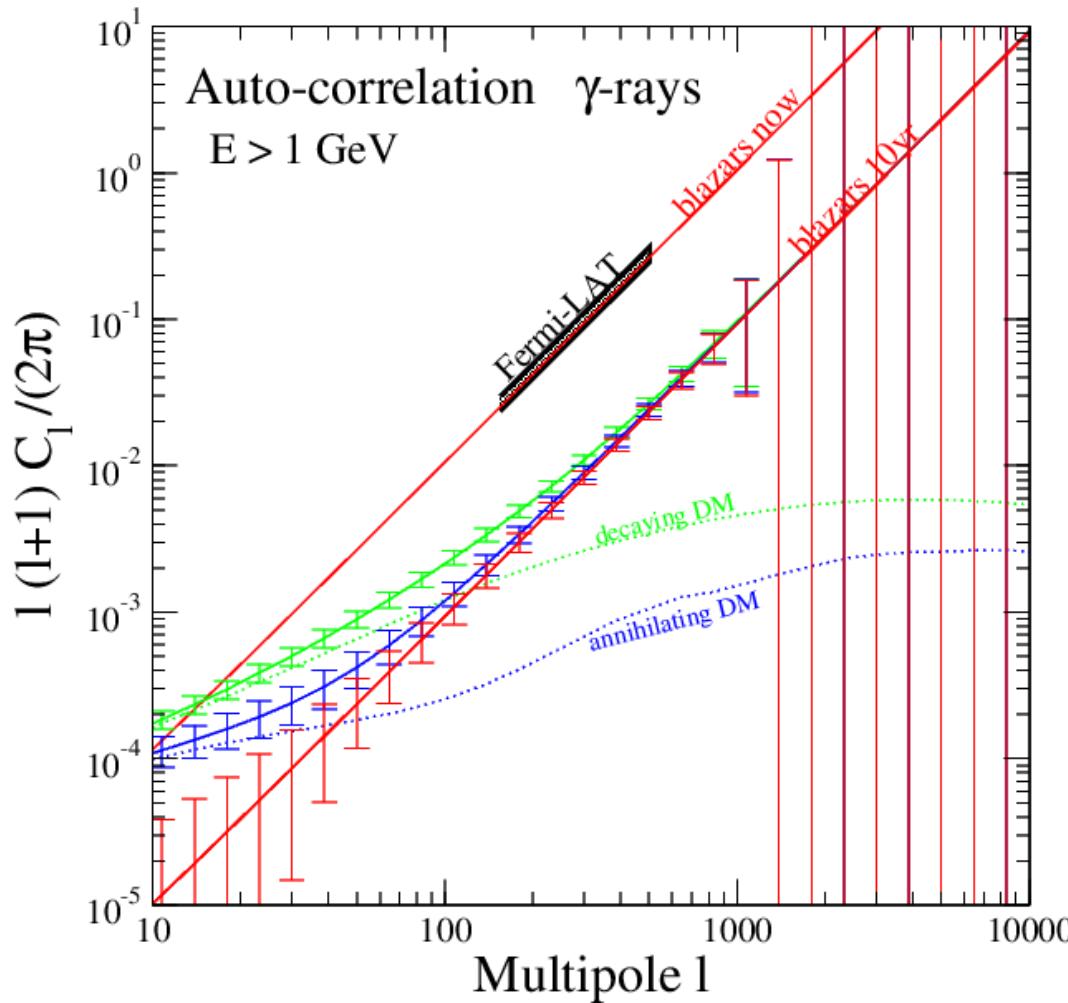
Required ingredients: Halo mass function  $dn/dm$ , Concentration of halos  $c(m)$ , DM distribution in halos (NFW, Einasto, Burkert, ...) and the same for subhalos, or  $B(\mathbf{x}, m, z)$

Critical point: extrapolation from the resolution of numerical simulations down to  $m_{\min}$

# 3D power spectrum

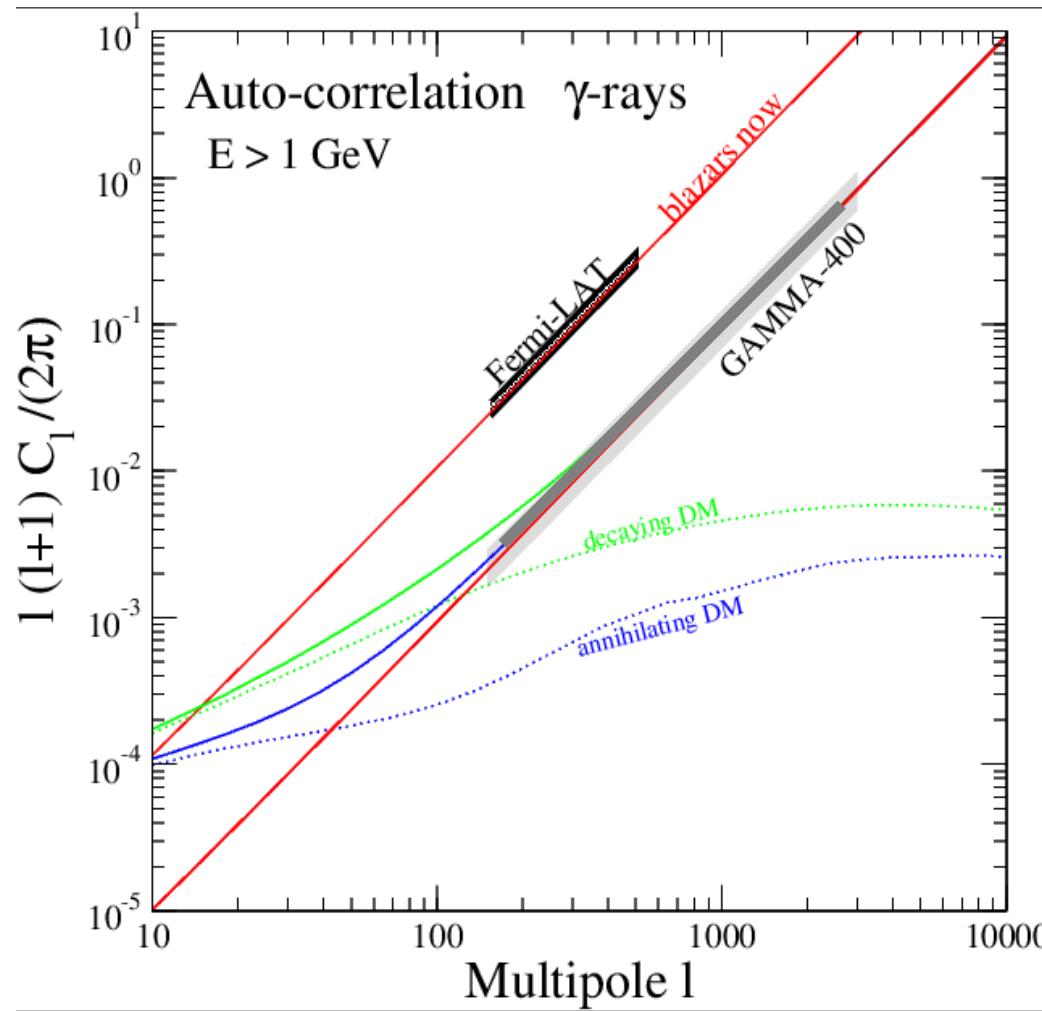


# What's "wrong" with $\gamma$ -rays alone?



Very difficult to extract a clear WIMP signature from the extragalactic gamma-ray background alone.

# What's "wrong" with $\gamma$ -rays alone?



NEAR  
FUTURE

Very difficult to extract a clear WIMP signature from the extragalactic gamma-ray background alone.

# Example

WIMP model with  $m_{\text{DM}} = 100 \text{ GeV}$  and  $\langle \sigma_a v \rangle = 8 \times 10^{-26} \text{ cm}^3/\text{s}$  in  $\overline{\text{bb}}$   
 (such that the EGB is saturated at few GeV)

