



Event shape fluctuations in nucleus-nucleus collisions: constrain the initial geometry

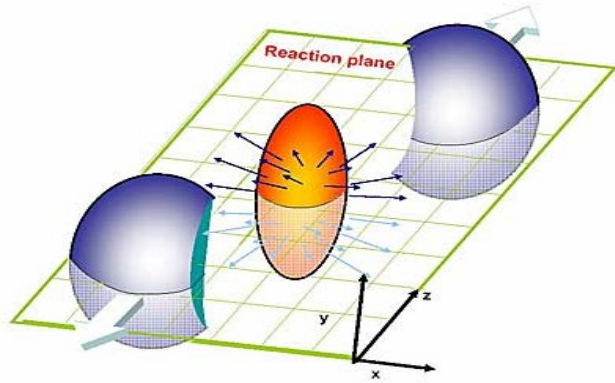
M. A. Tangaro
INFN Sezione di Bari

Incontro sulla fisica con ioni pesanti a LHC – Bologna 26-05-2015

Outline

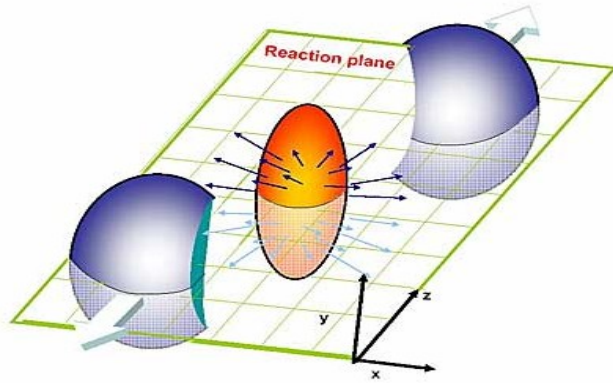
- Motivation
- Event shape selection
- Correlations between flow harmonics
- p_T spectra and particle identification
- Summary and outlook

Event-by-event fluctuations

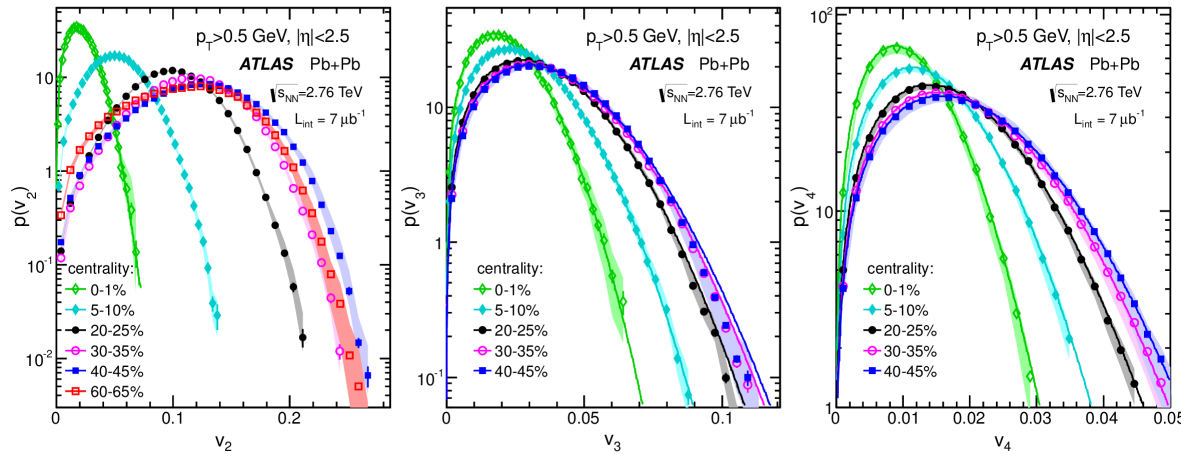


At first order, measurements can be described assuming nuclei as perfectly smooth spheres and the QGP as a perfect liquid.

Event-by-event fluctuations



At first order, measurements can be described assuming nuclei as perfectly smooth spheres and the QGP as a perfect liquid.

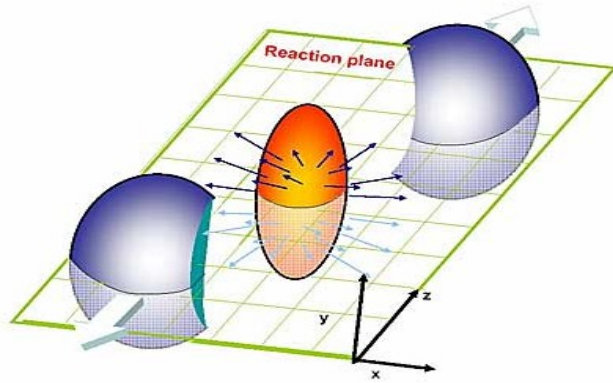


Initial shape is not smooth but a lumpy blob of energy density
Fluctuating shape affects details of final particle flow

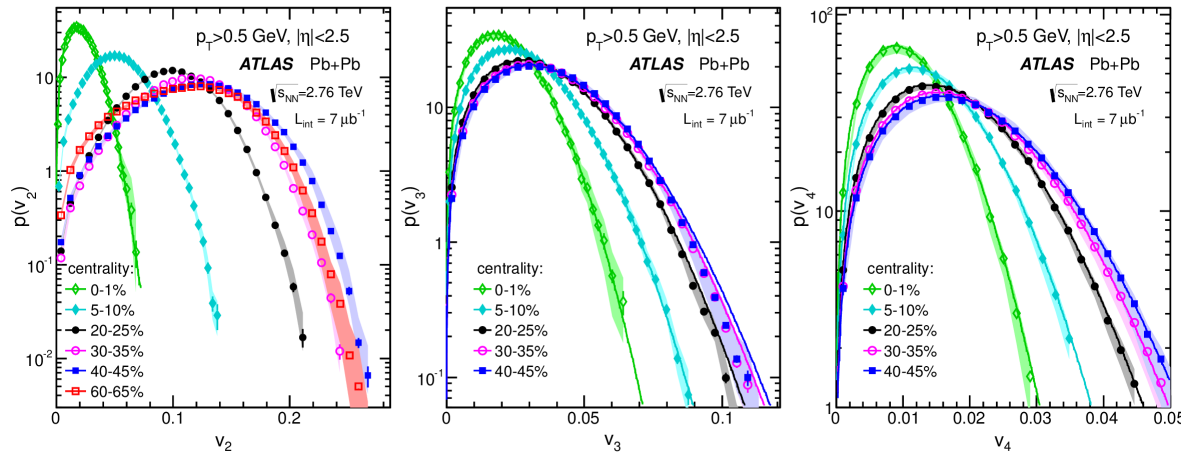
$$\frac{dN}{d\phi} \propto 1 + 2 \sum_{n=1}^{\infty} v_n \cos[n(\phi - \psi_n)]$$

With fluctuations: odd harmonics are not zero.

Event-by-event fluctuations



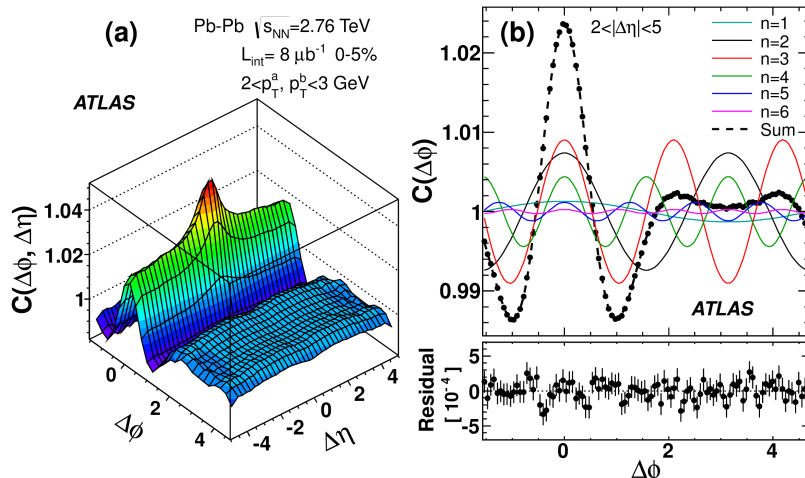
At first order, measurements can be described assuming nuclei as perfectly smooth spheres and the QGP as a perfect liquid.



Initial shape is not smooth but a lumpy blob of energy density
Fluctuating shape affects details of final particle flow

$$\frac{dN}{d\phi} \propto 1 + 2 \sum_{n=1}^{\infty} v_n \cos[n(\phi - \psi_n)]$$

With fluctuations: odd harmonics are not zero.



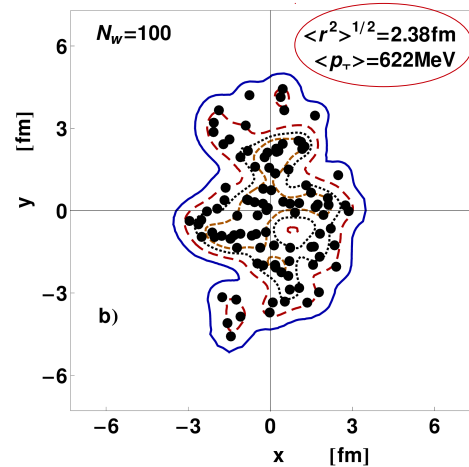
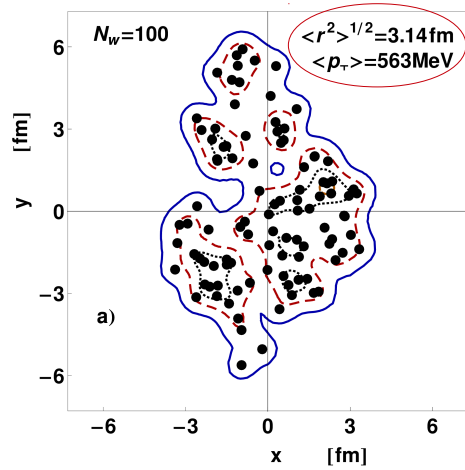
Fluctuations explain entire structure of two particle correlations

solid lines: $v_1, v_2, v_3, v_4, v_5, v_6$ term

dashed line: sum

points: correlation measurement

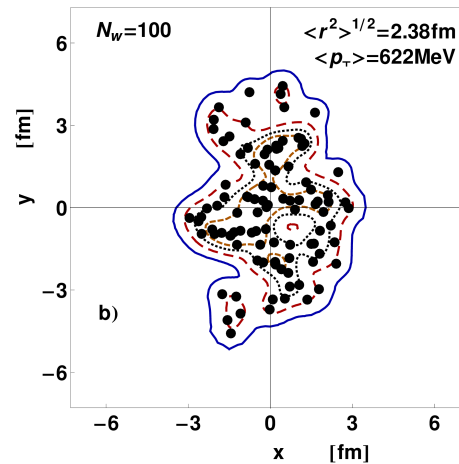
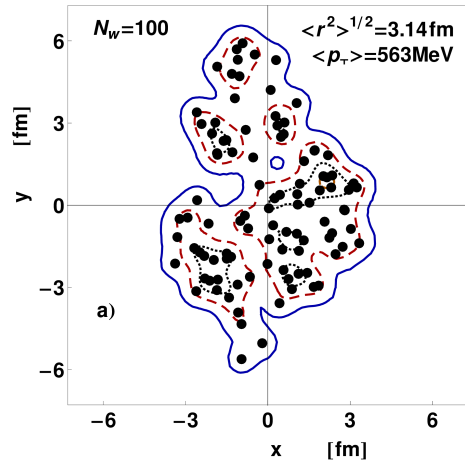
Event shape engineering



Each event has a different initial shape and density distribution, characterized by different set of harmonic eccentricity coefficients ϵ .

At fixed centrality: different initial shapes.

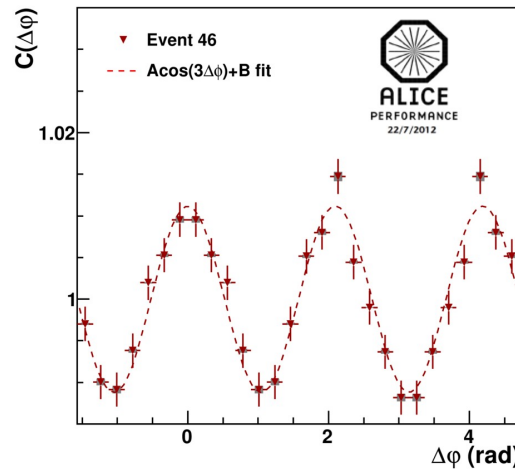
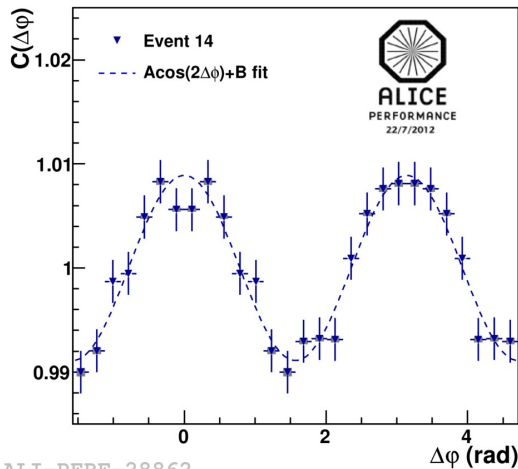
Event shape engineering



Each event has a different initial shape and density distribution, characterized by different set of harmonic eccentricity coefficients ϵ .

At fixed centrality: different initial shapes.

Pb-Pb $\sqrt{s_{NN}} = 2.76$ TeV, 4-5% central



Each event develops its individual hydrodynamic flow, characterized by a set of harmonic flow coefficients v_n and flow angles ψ_n .

At fixed centrality, flow fluctuates → event selection based on flow

We can select events corresponding to nuclear collisions with different initial geometry configuration:

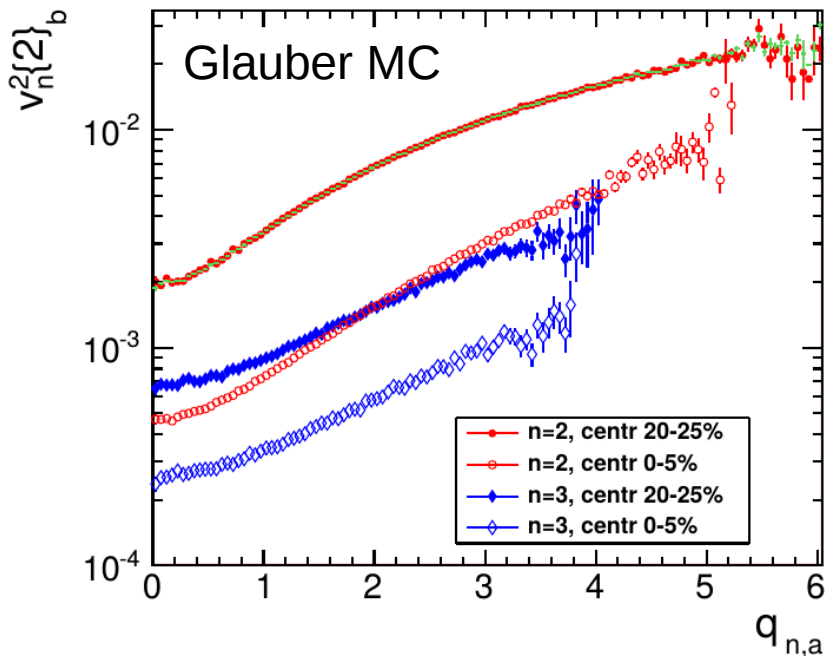
EVENT SHAPE ENGINEERING

ESE in MC

Event selection based on the magnitude of the **flow vector**

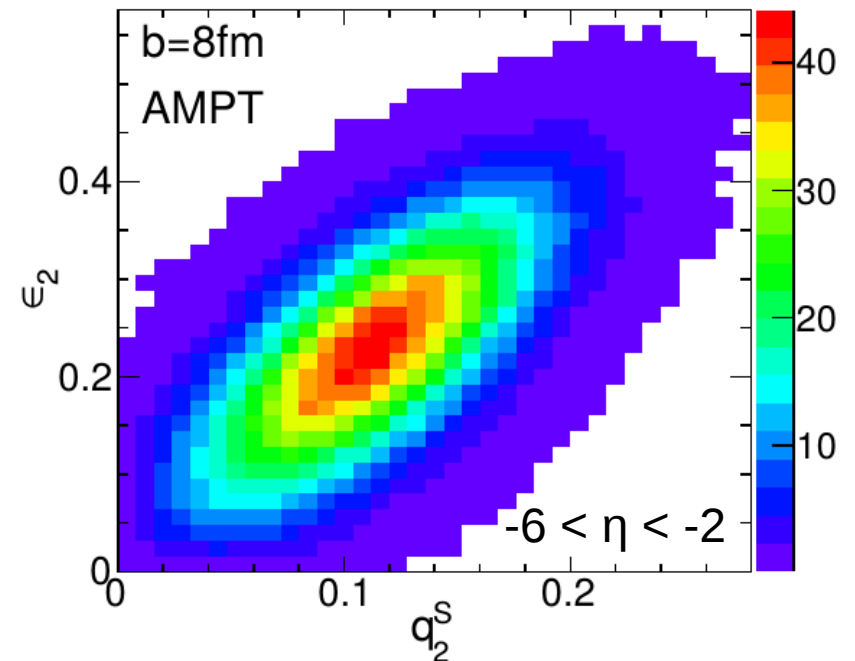
$$\begin{aligned}
 Q_{n,x} &= \sum_i \cos(n\phi_i) \\
 Q_{n,y} &= \sum_i \sin(n\phi_i)
 \end{aligned}
 \longrightarrow
 \begin{aligned}
 Q_n &= \{Q_{n,x}, iQ_{n,y}\} \\
 q_n &= |Q_n| / \sqrt{M}
 \end{aligned}$$

Schukraft et al. Phys.Lett. B719 (2013) 394-398



- q -vector and v_n^2 measured in different sub-events
- Large $q_2 \rightarrow$ larger v_2

Huo et al, Phys.Rev. C90 (2014) 024910

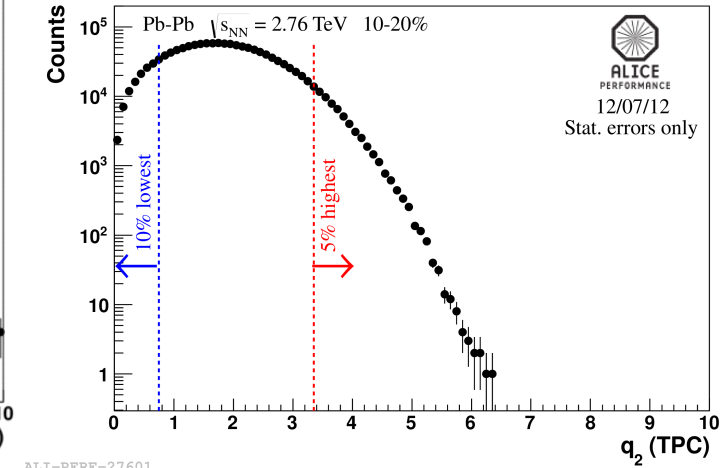
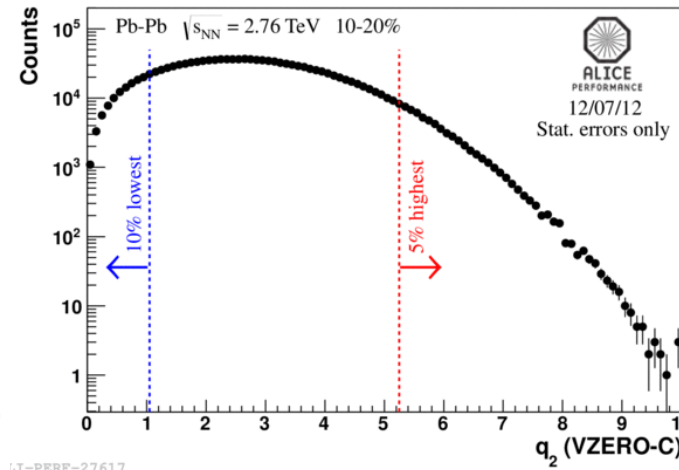
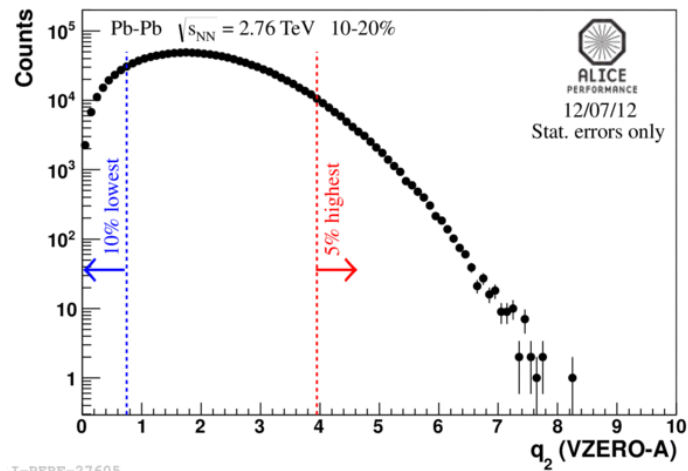


- Strong positive correlation between eccentricity and q -vector
- $\langle \epsilon_2 \rangle$ value is higher in 10% large q_2 sample

The shape of the initial geometry can be selected using the q -vector in the final state

Event shape selection

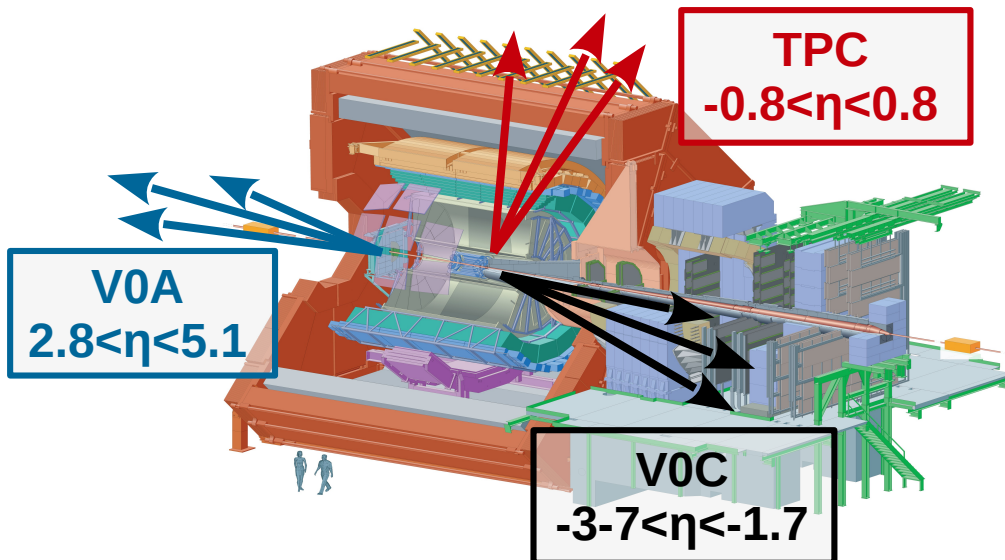
ALICE QM 2012



LI-PERF-27605

LI-PERF-27617

ALI-PERF-27601



- V0A ($2.8 < \eta < 5.1$)
- V0C ($-3.7 < \eta < -1.7$)
- TPC ($-0.8 < \eta < 0$ or $0 < \eta < 0.8$)

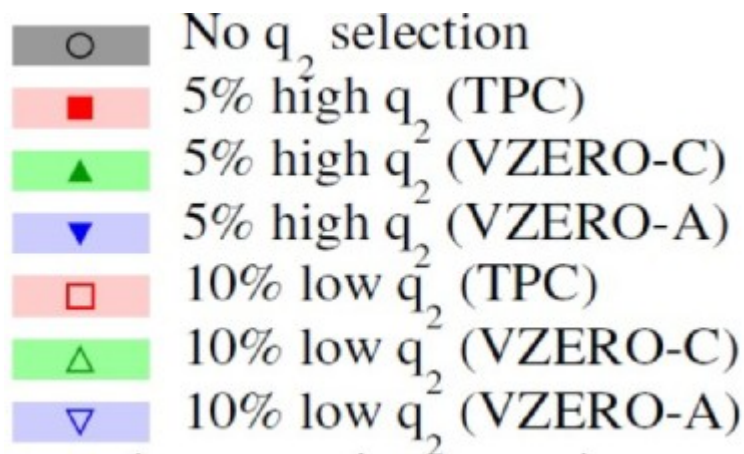
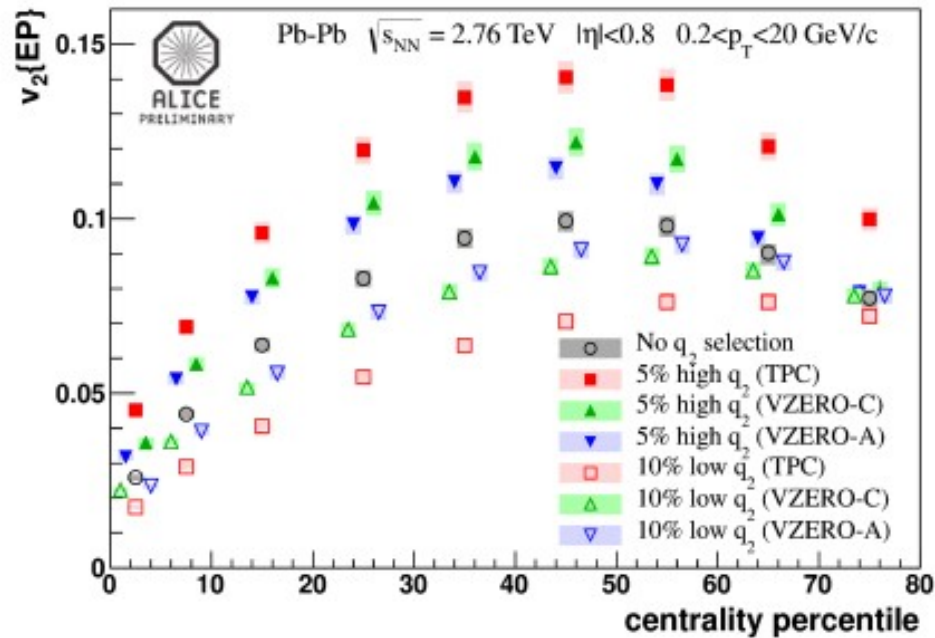
Different flow

Different multiplicity

Different non-flow contribution

Elliptic flow

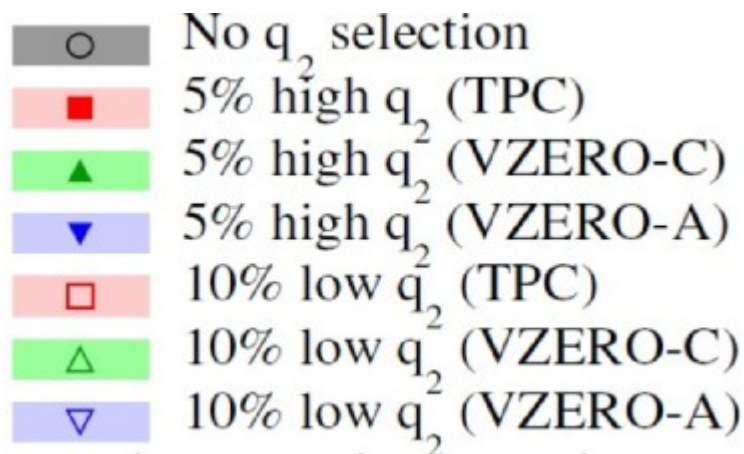
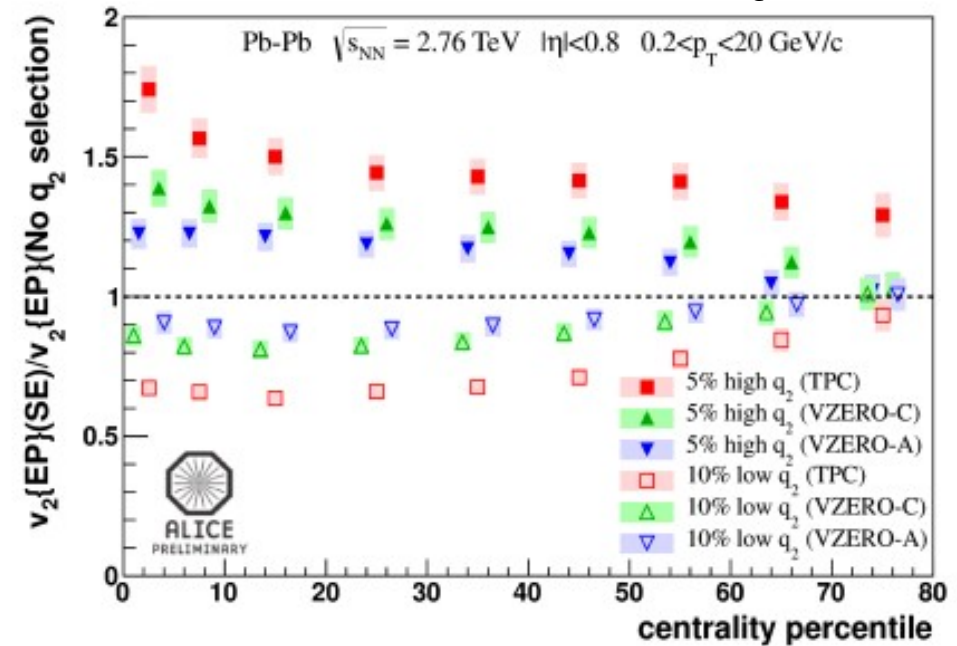
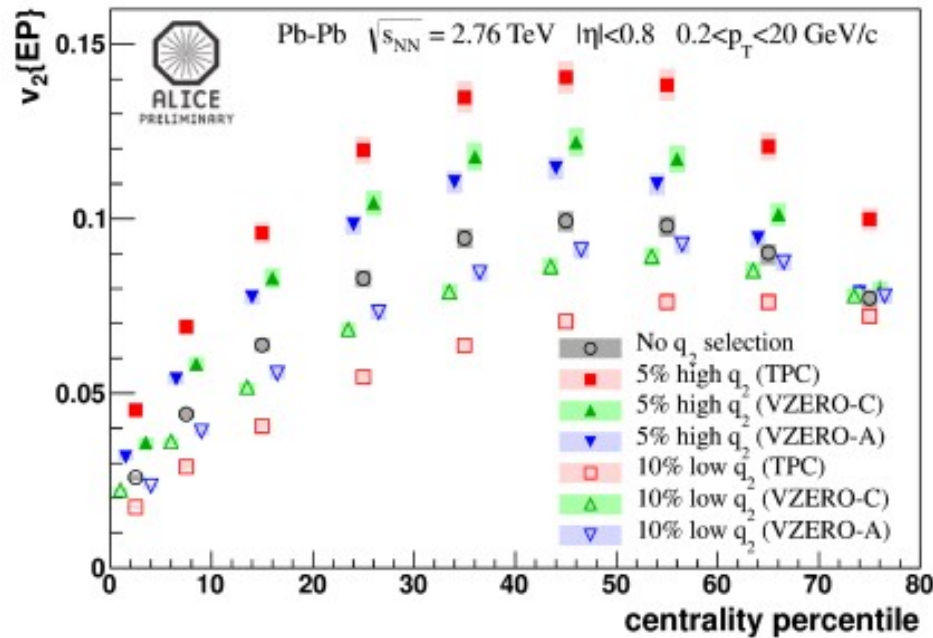
ALICE QM 2012



- Centrality dependence of the average v_2 variation in the large- q_2 and small- q_2 samples.

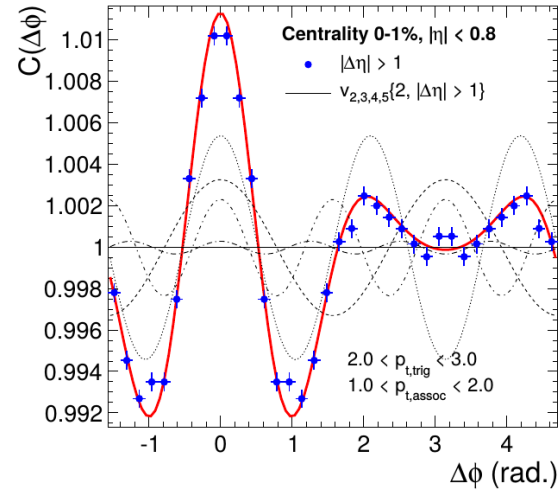
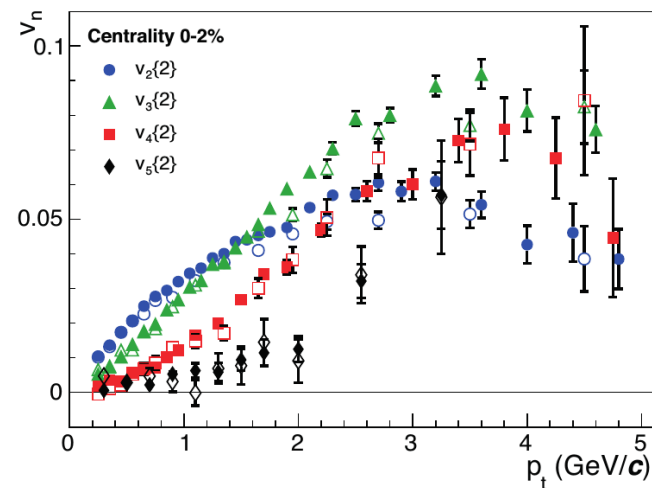
Elliptic flow

ALICE QM 2012



- Centrality dependence of the average v_2 variation in the large- q_2 and small- q_2 samples.
- q_2 (TPC), q_2 (V0A) with q_2 (V0C) with different dynamic range.
- The TPC selection has a better selectivity than the V0C and V0A in all the centrality classes.
- Method sensitivity to the event shape deteriorates for peripheral collisions.

Anisotropic flow

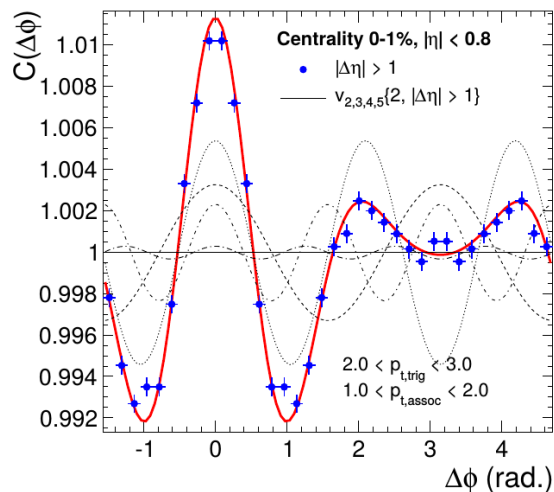
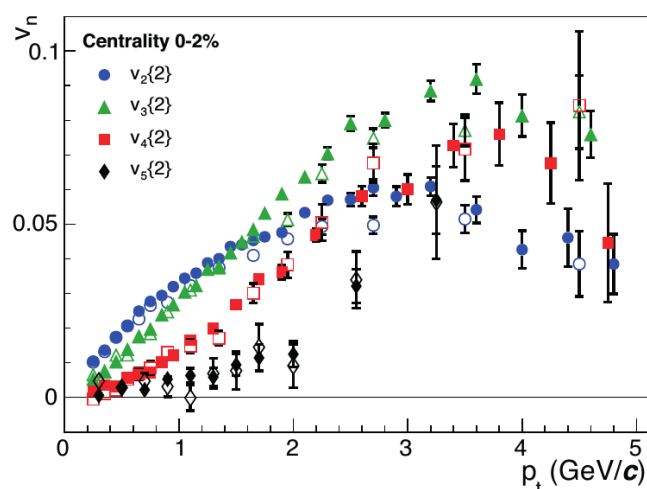


ALICE Collaboration PRL 107:032301, 2011

In the 1% most central collisions $v_3 > v_2 \rightarrow$ doubly-peaked correlation structure.

Event-by-event eccentricity fluctuations dominate the anisotropic flows in the most central collisions.

Anisotropic flow



ALICE Collaboration PRL 107:032301, 2011

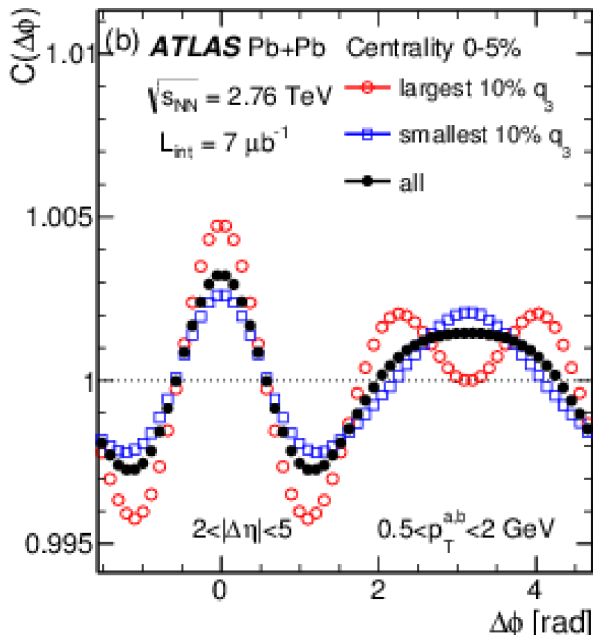
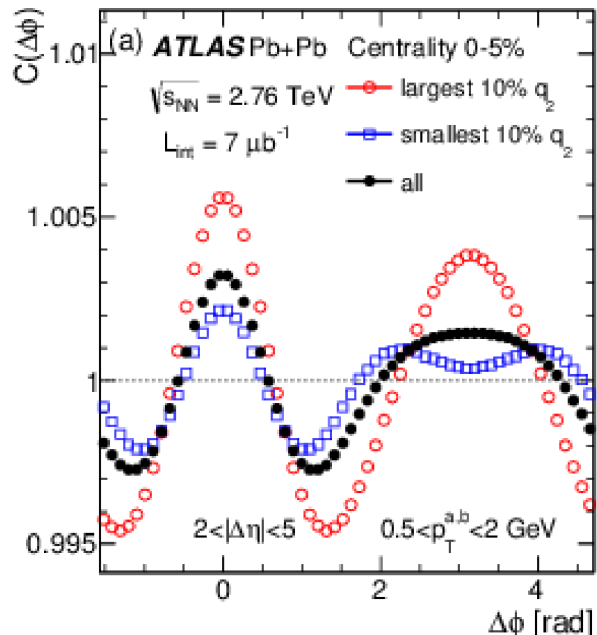
In the 1% most central collisions $v_3 > v_2 \rightarrow$ doubly-peaked correlation structure.

Event-by-event eccentricity fluctuations dominate the anisotropic flows in the most central collisions.

Events selected with the largest and smallest q_2 or q_3 values.

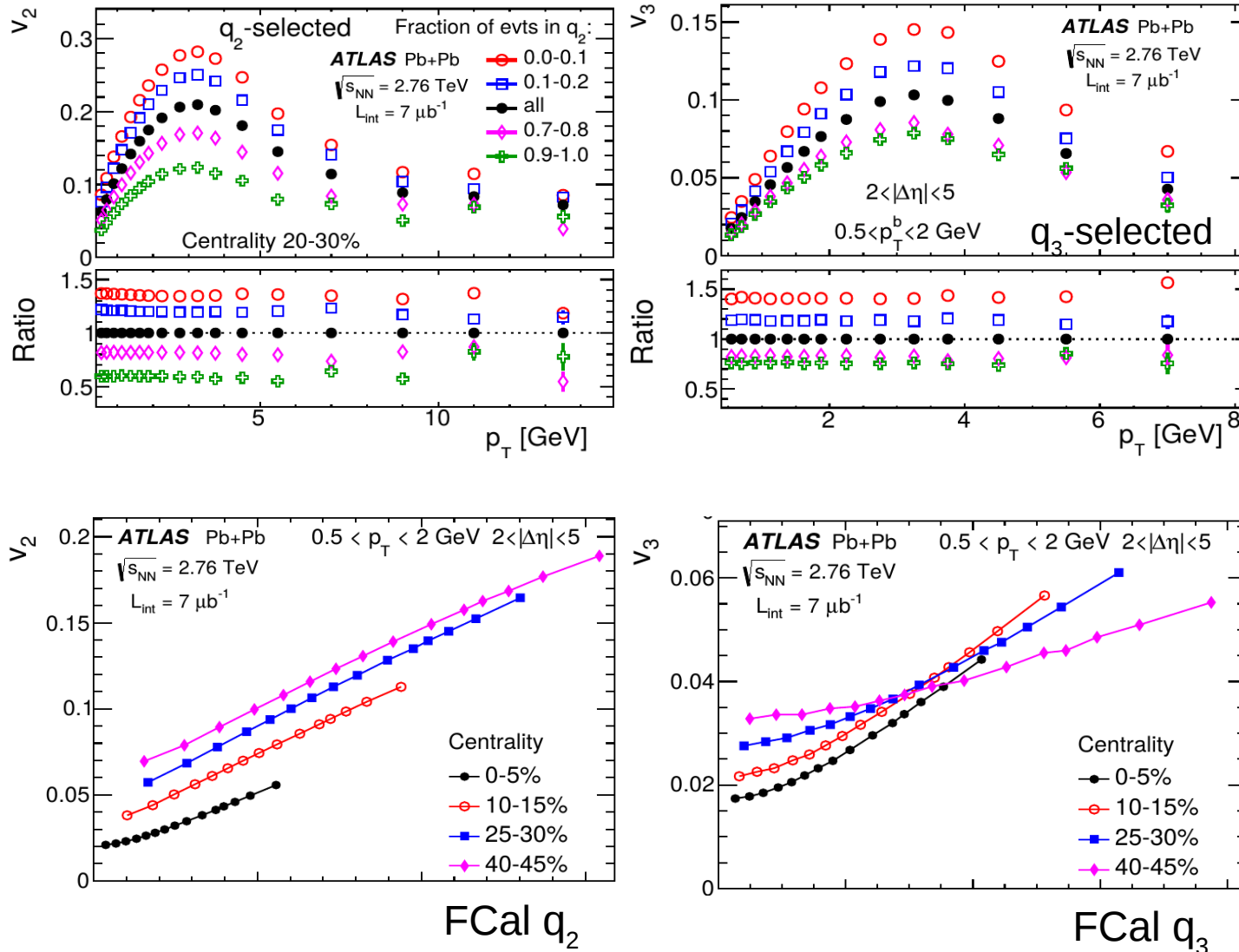
Double-peak structure for Small- q_2 or large- q_3 : dominant contribution of the triangular flow under these q_m selections.

The magnitude of the modulation strongly correlated with the q_m value \rightarrow the global ellipticity or triangularity can be selected by q_2 or q_3 .



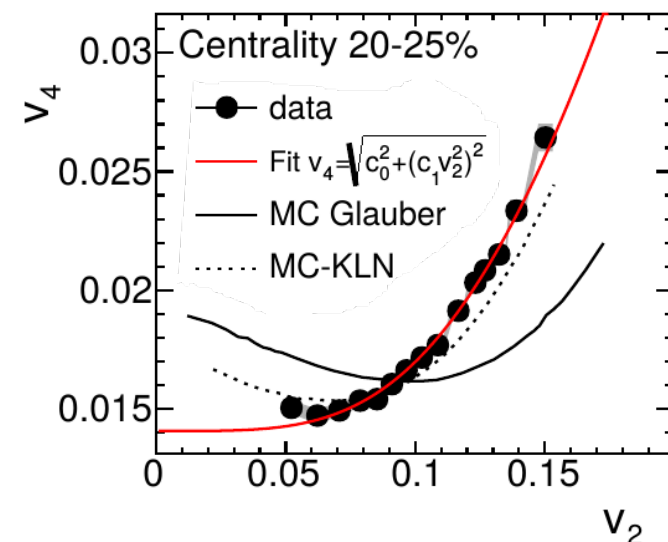
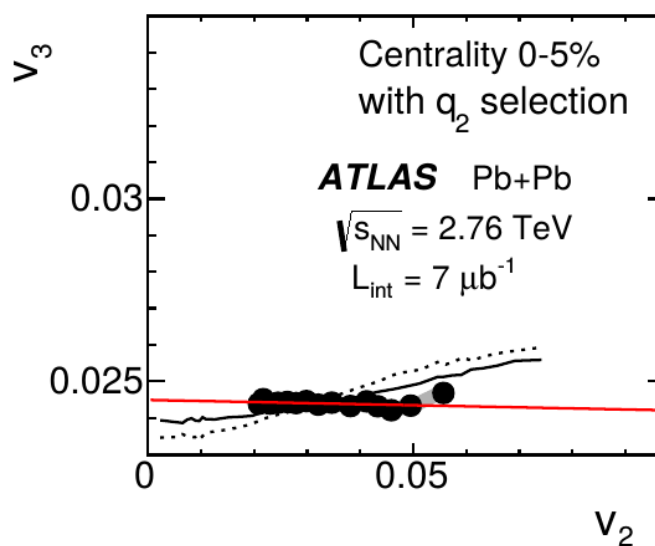
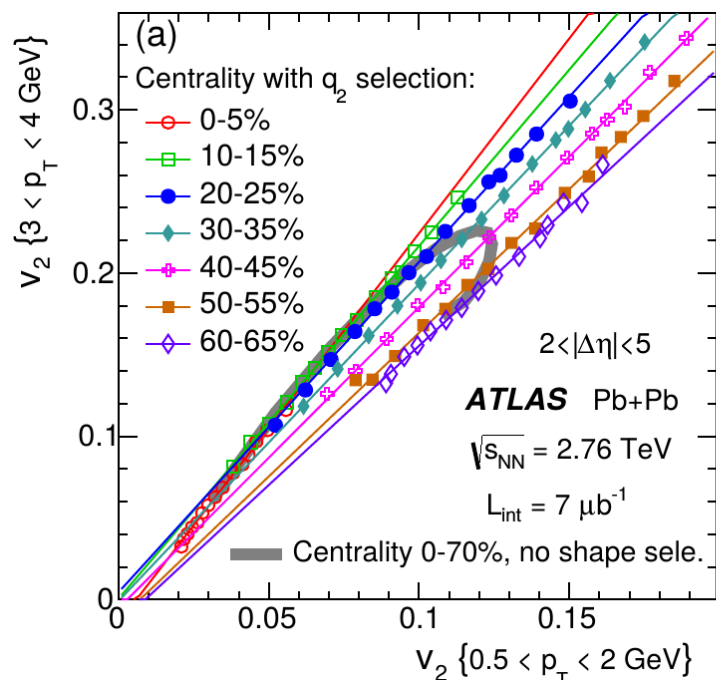
ATLAS Collaboration arXiv:1504.01289v1 [hep-ex]

Anisotropic flow



- Ratios constant up to $p_T = 10$ GeV/c \rightarrow similar flow fluctuations
- Event-Shape selection ($3.2 < |\eta| < 4.9$), v_n ($|\eta| < 2.5$)

Anisotropic flow



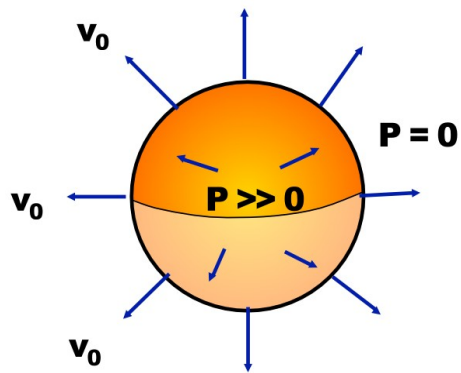
Compare (v_n, v_m) correlations to $(\varepsilon_n, \varepsilon_m)$ correlations calculated in Glauber & CGC models.

- (v_2, v_2) - Non-trivial dependence with centrality (boomerang like) → different centrality dependence of v_n . Within one centrality the dependence is linear → Indicates that viscous correction mostly controlled by system size, not shape!
- (v_3, v_2) - Good agreement in several centralities, some deviation in (0-5)% central events.
- (v_4, v_2) - Initial geometry models not reproduce data. Non-linear dynamical mode mixing produces these correlations.

Spectra with ESE

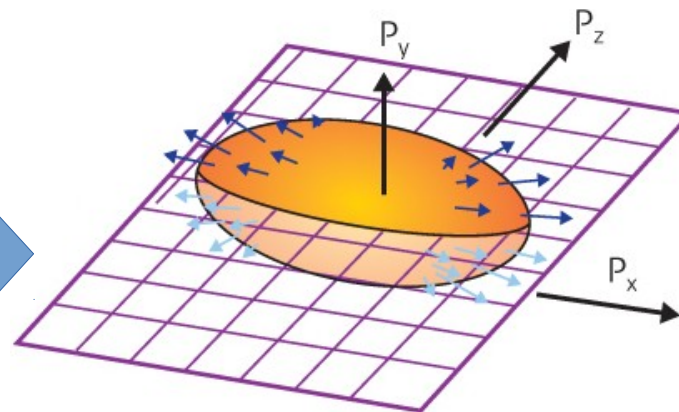
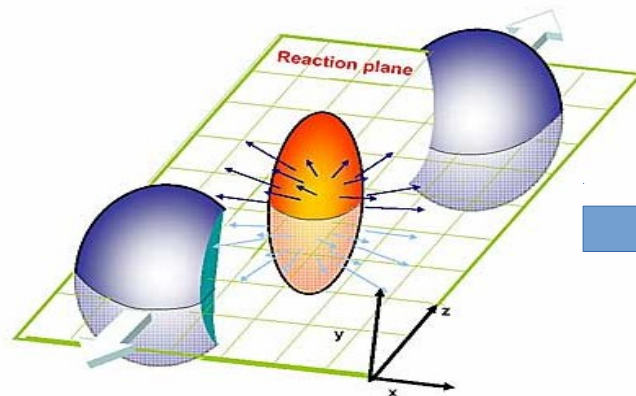
- Physics observables affected by the combined effect of either radial and anisotropic flow, the individual contribution can't be easily disentangled.
- Understand connection between initial condition and hydro response
- Constrain initial conditions:
 - Fix the centrality of the collision
 - Fix the shape of the collision (ESE)

Analysis of transverse momentum spectra in these events



Radial flow:

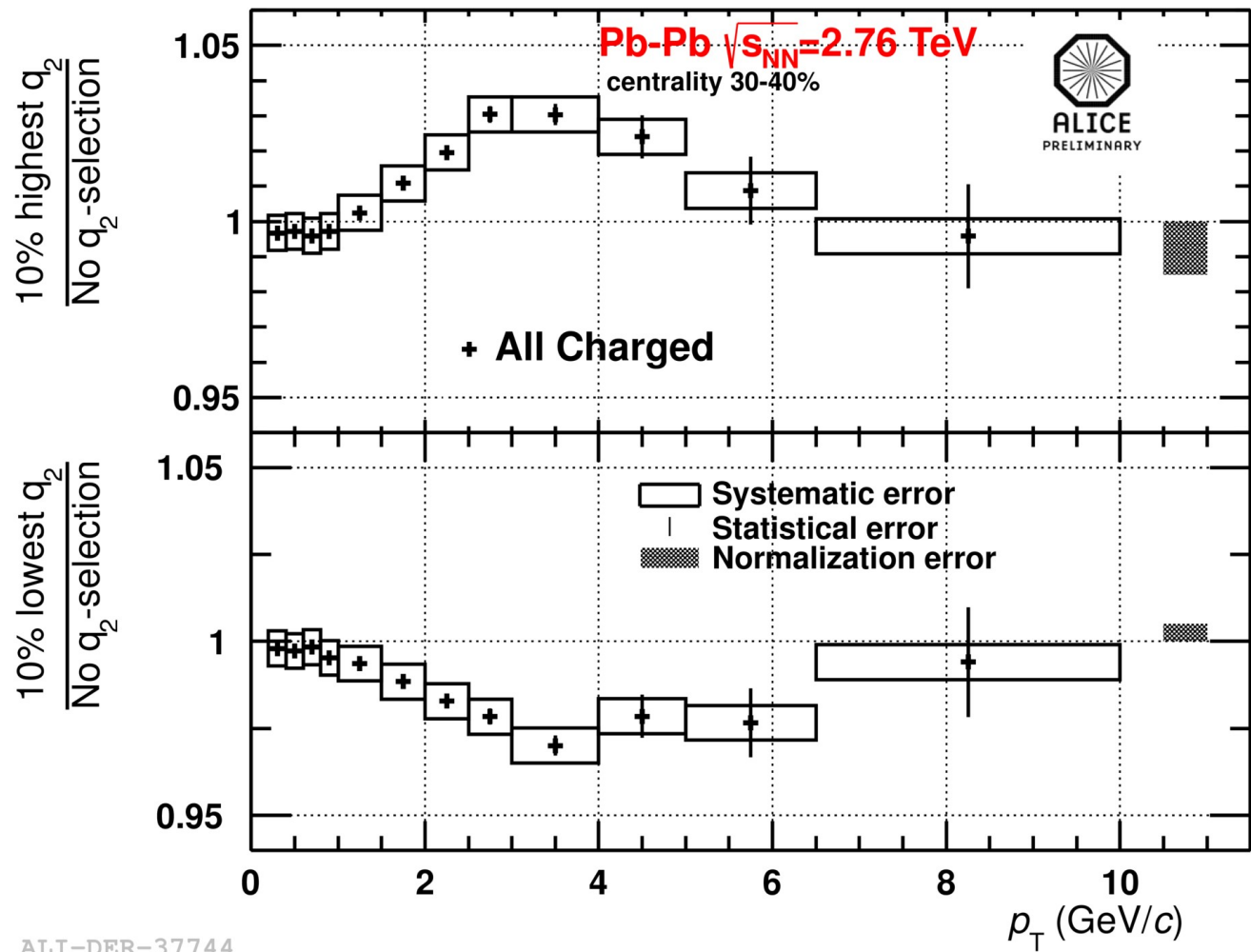
- Isotropic expansion
- Physics observable: p_T spectra
- Flat p_T spectrum for heavier particles → **Mass ordering**



Anisotropic flow:

- Anisotropic expansion

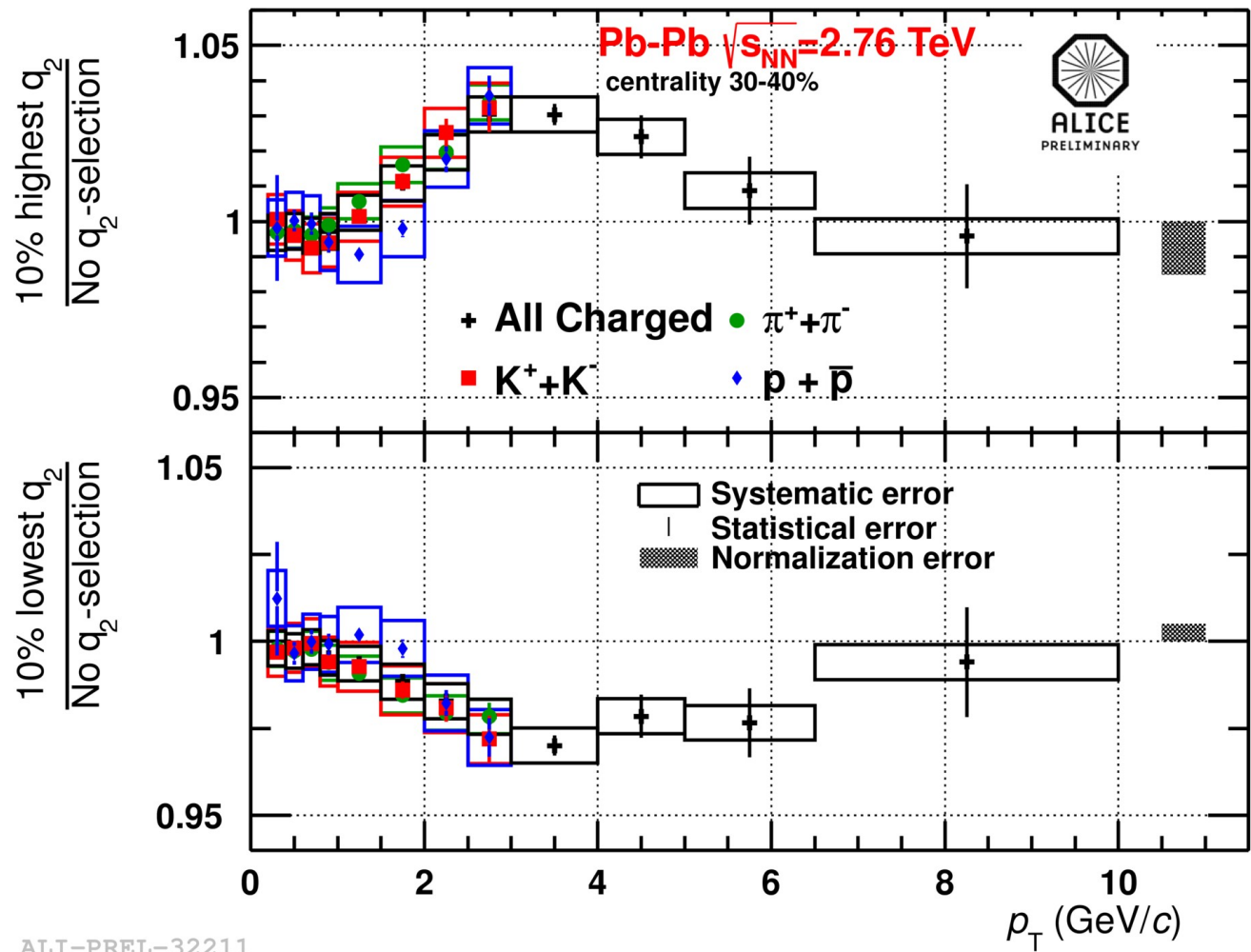
Spectra with ESE



- Raw spectra used for the ratios: efficiency does not depend on q_2 selection
- Modification of the p_T -spectrum: large q_2 harder spectrum, opposite for small q_2

ALI-DER-37744

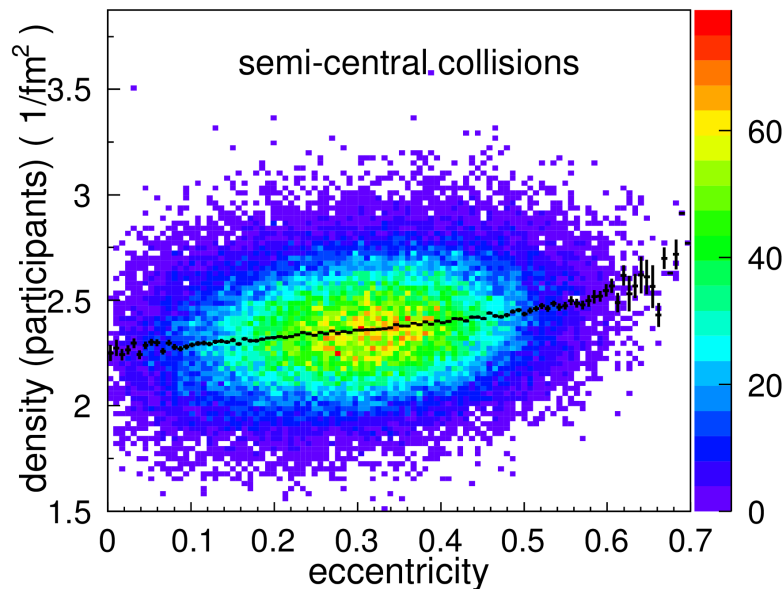
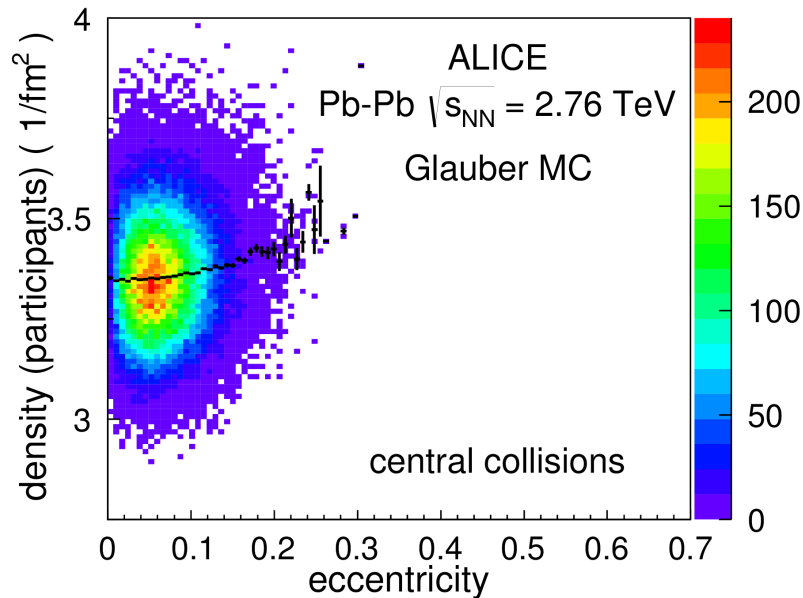
Spectra with ESE



- Raw spectra used for the ratios: efficiency does not depend on q_2 selection
- Modification of the p_T -spectrum: large q_2 harder spectrum, opposite for small q_2
- same effect for all the particles
- hint of mass ordering?

Shape Fluctuation → Pressure Fluctuations (radial flow)?

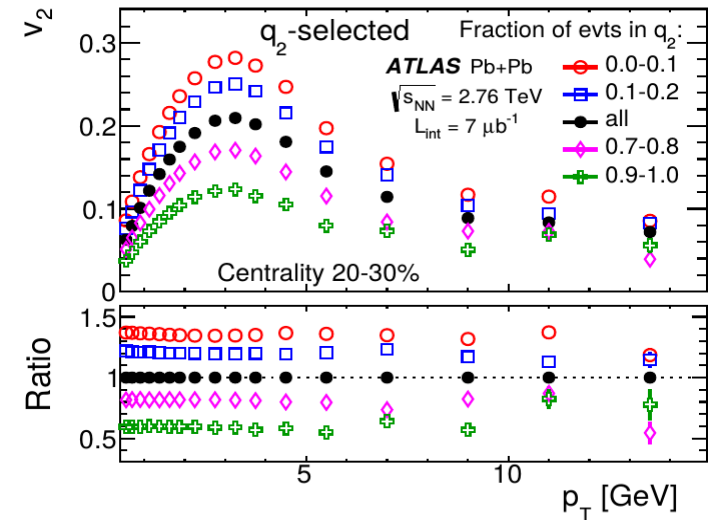
Spectra ESE: Glauber MC



- The participant density $N_{\text{part}}/\text{area}$ used as a proxy for the magnitude of the pressure gradients (responsible for the radial flow).
- The observed correlation between the density and eccentricity is similar the correlation between radial flow and event shape.
- Central collisions: weaker correlation between area and eccentricity.
- Glasma e CGC predictions? Can these measurements constrain initial condition models?
- Full hydro simulation needed.

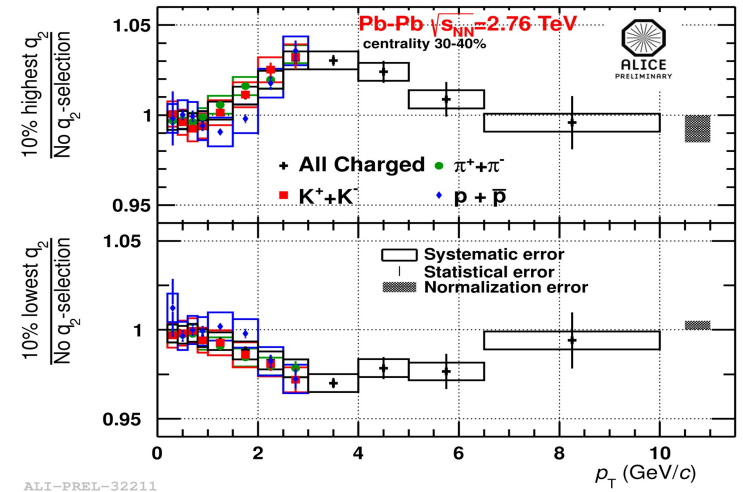
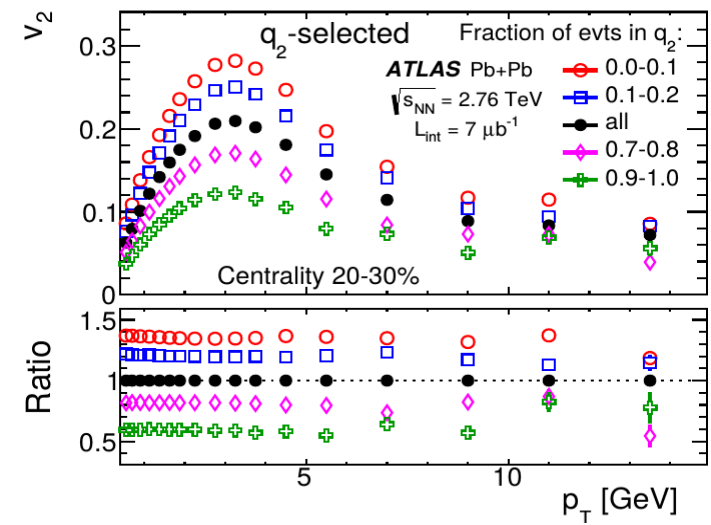
Summary and outlook

- Event shape selection is sensitive to the detector selectivity
- v_2 - v_2 correlations indicate viscous effects controlled by system size and not system shape.
- small anti-correlation between v_2 and v_3 → Initial geometry effect (described by CGC & Glauber).
- strong correlation between v_4 - v_2 and v_5 - v_2 → Indicate non-linear response to initial geometry (not described by initial geometry models)



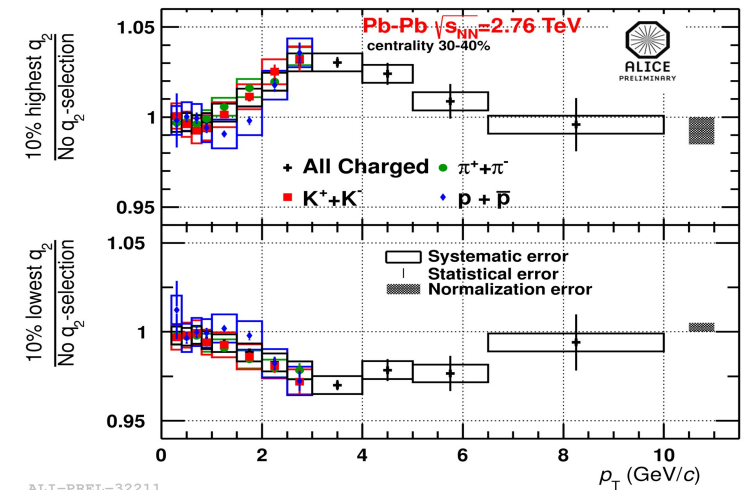
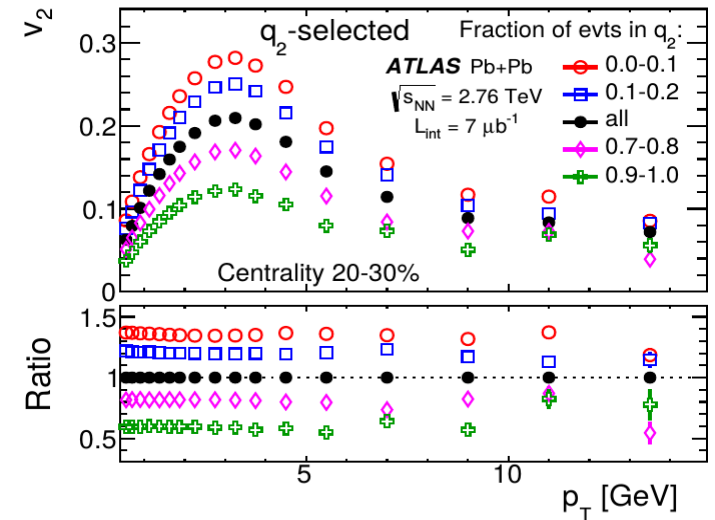
Summary and outlook

- Event shape selection is sensitive to the detector selectivity
- v_2 - v_2 correlations indicate viscous effects controlled by system size and not system shape.
- small anti-correlation between v_2 and v_3 → Initial geometry effect (described by CGC & Glauber).
- strong correlation between v_4 - v_2 and v_5 - v_2 → Indicate non-linear response to initial geometry (not described by initial geometry models)
- Modification of the p_T spectrum in semi-central (30-40%) in the intermediate p_T region (from ~ 1 up to ~ 5 GeV/c) is observed.
- Hint of mass ordering in the region between ~ 1 up to ~ 3 GeV/c.



Summary and outlook

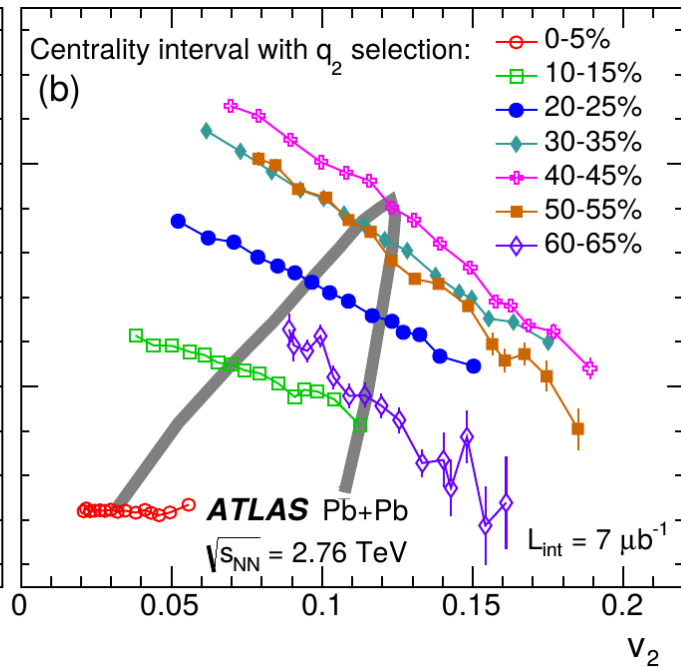
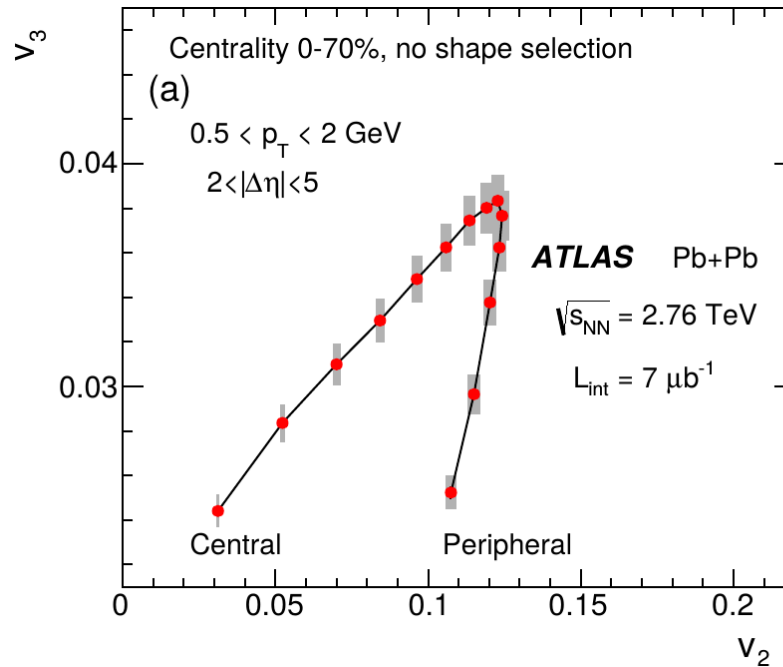
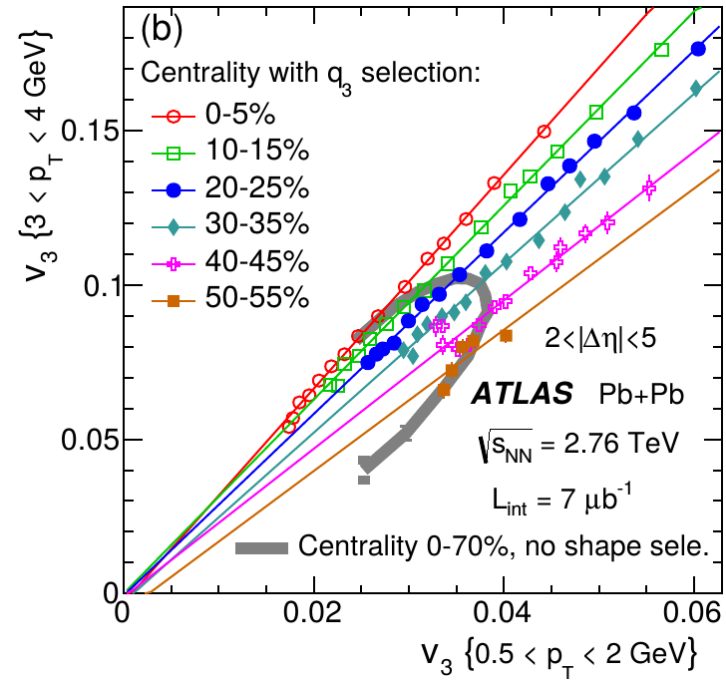
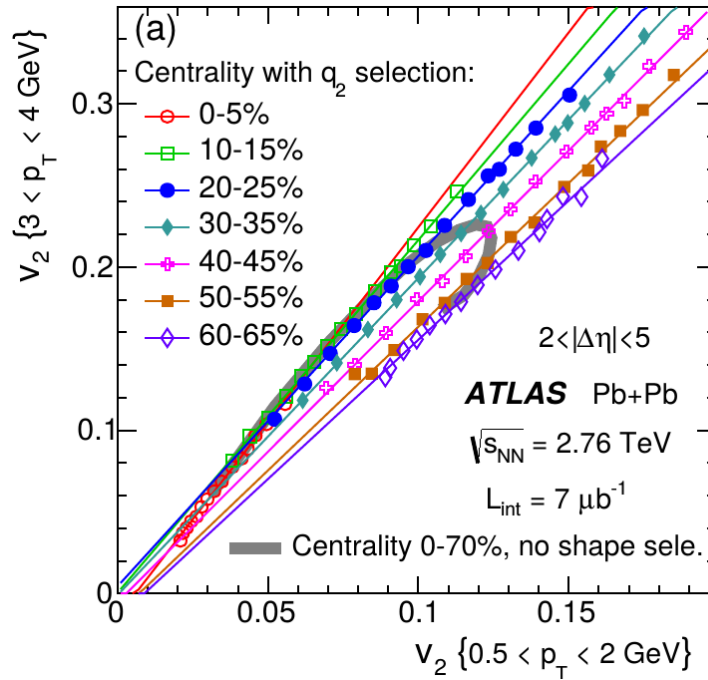
- Event shape selection is sensitive to the detector selectivity
- v_2 - v_2 correlations indicate viscous effects controlled by system size and not system shape.
- small anti-correlation between v_2 and v_3 → Initial geometry effect (described by CGC & Glauber).
- strong correlation between v_4 - v_2 and v_5 - v_2 → Indicate non-linear response to initial geometry (not described by initial geometry models)
- Modification of the p_T spectrum in semi-central (30-40%) in the intermediate p_T region (from ~ 1 up to ~ 5 GeV/c) is observed.
- Hint of mass ordering in the region between ~ 1 up to ~ 3 GeV/c.



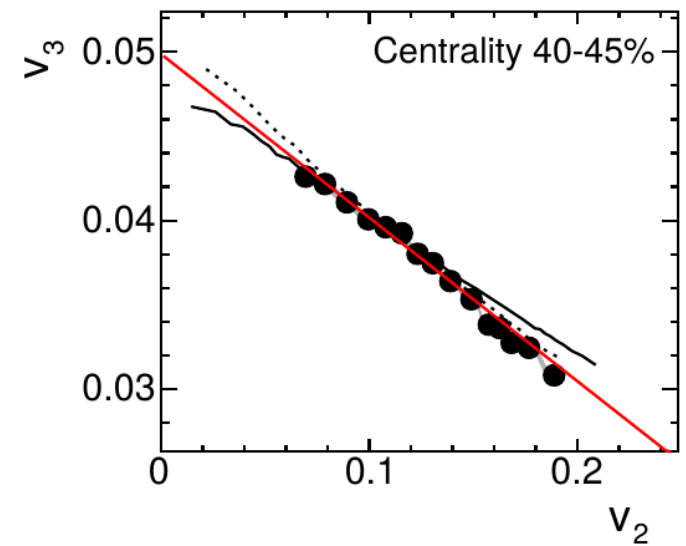
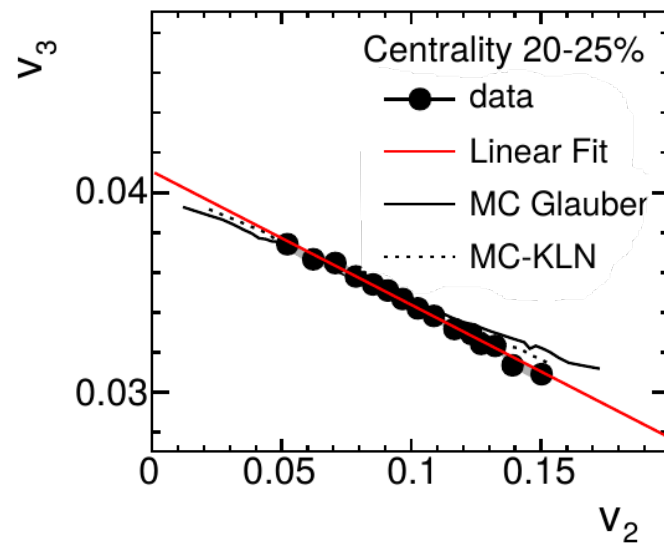
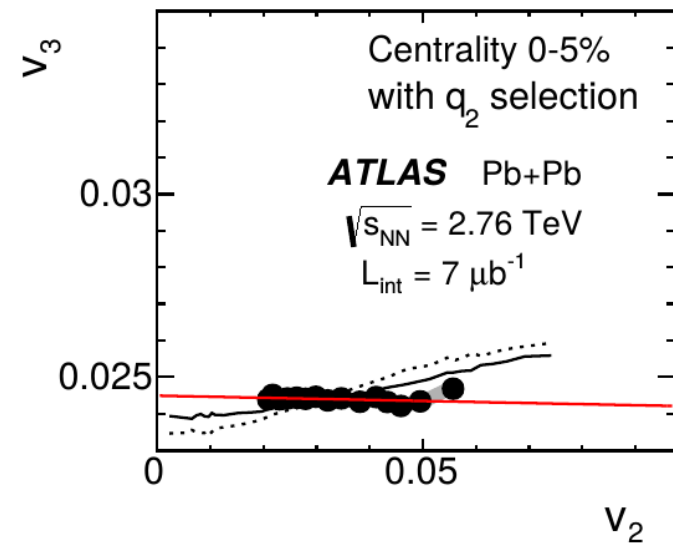
To which extent the differential ESE measurements can constrain quantitatively the transport coefficients of the medium and the fluctuations patterns in the initial conditions?

Backup

Anisotropic flow



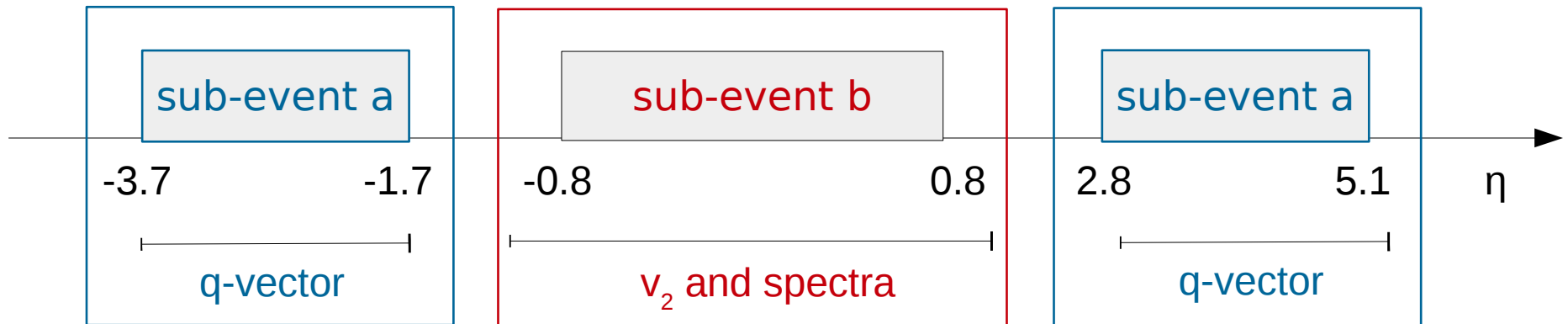
Anisotropic flow



Event shape engineering

Event selection based on the magnitude of the **flow vector**

$$\begin{aligned} Q_{n,x} &= \sum_i \cos(n\phi_i) \\ Q_{n,y} &= \sum_i \sin(n\phi_i) \end{aligned} \longrightarrow \begin{aligned} Q_n &= \{Q_{n,x}, iQ_{n,y}\} \\ q_n &= |Q_n|/\sqrt{M} \end{aligned}$$



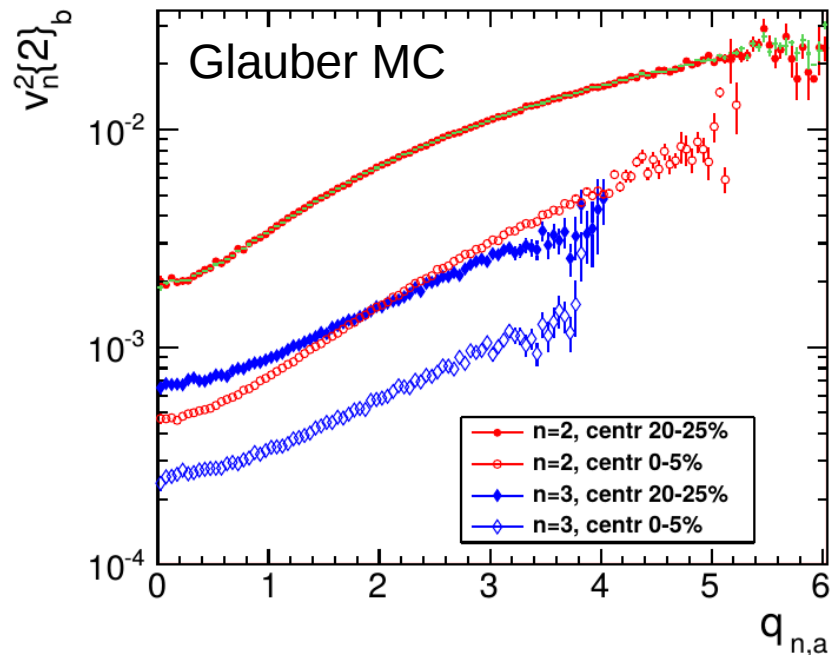
Need to avoid biases from non-flow: **sub-events with large pseudo-rapidity separation**

Measure q_2 in one independent sub-event for the event selection (sub-event a)

Study observables of interest in another pseudo-rapidity window (sub-event b)

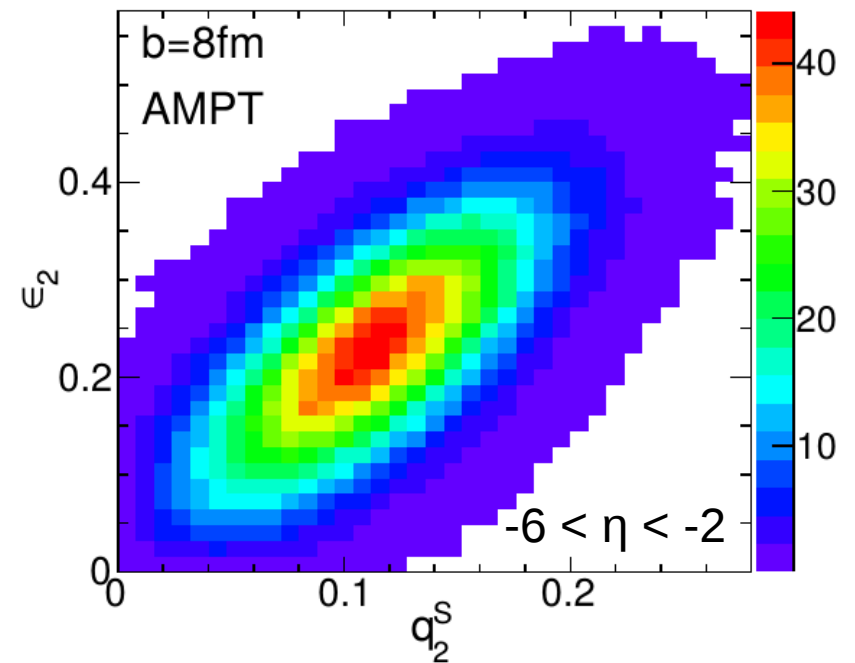
ESE in MC

Schukraft et al, Phys.Lett. B719 (2013) 394-398



- q -vector evaluated in sub-event a, v_n^2 measured in sub-event b
- Large $q_2 \rightarrow$ larger v_2

Huo et al, Phys.Rev. C90 (2014) 024910



- Strong positive correlation between eccentricity and q -vector
- $\langle \epsilon_2 \rangle$ value is higher in 10% large q_2 sample

The shape of the initial geometry can be selected using the q -vector in the final state

The ALICE detector

Inner Tracking System (ITS)

- Primary vertex reconstruction
- Combined ITS-TPC tracking

Time Projection Chamber (TPC)

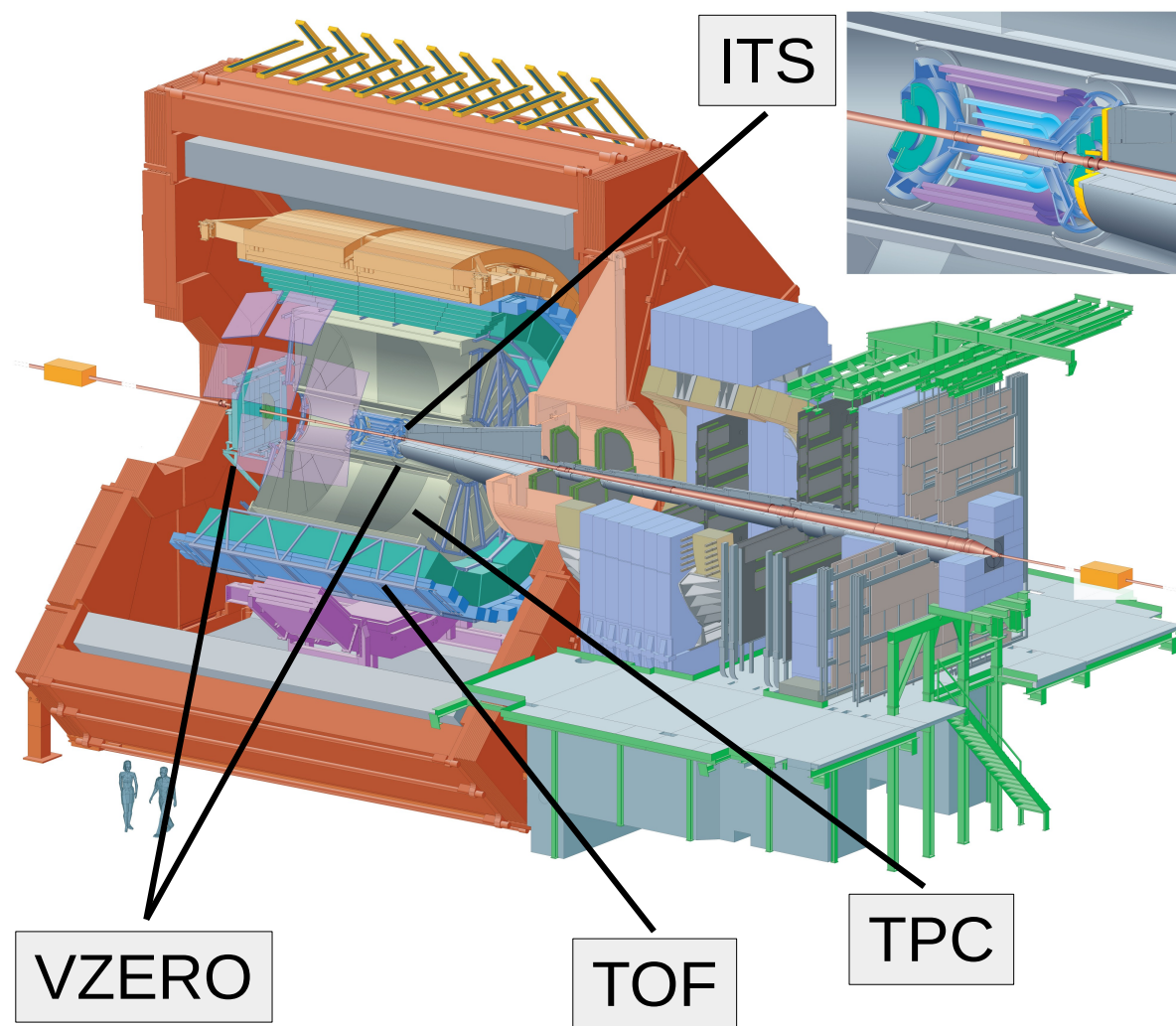
- Main tracking system
- PID from energy loss in the gas

Time Of Flight (TOF)

- Tracks extrapolated from ITS-TPC
- PID from time of flight measurement

VZERO

- VZEROA ($2.8 < \eta < 5.1$)
- VZEROC ($-3.7 < \eta < -1.7$)
- Trigger, centrality selection, event plane calculation



~10M minimum bias Pb-Pb events at $\sqrt{s_{NN}} = 2.76$ TeV (2010 run) used for this analysis.

The ALICE detector

Inner Tracking System (ITS)

- Primary vertex reconstruction
- Combined ITS-TPC tracking

Time Projection Chamber (TPC)

- main tracking system
- PID from energy loss

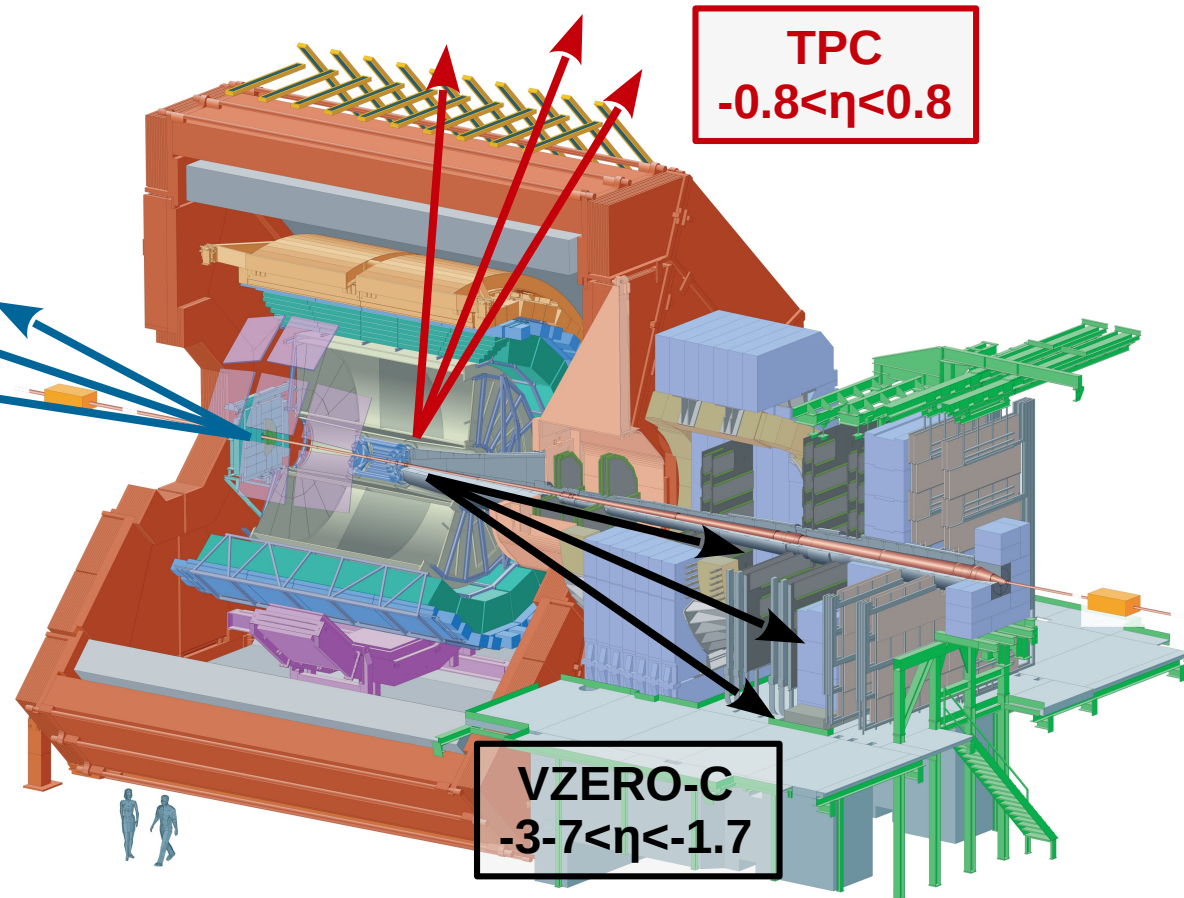
VZERO-A
 $2.8 < \eta < 5.1$

Time Of Flight (TOF)

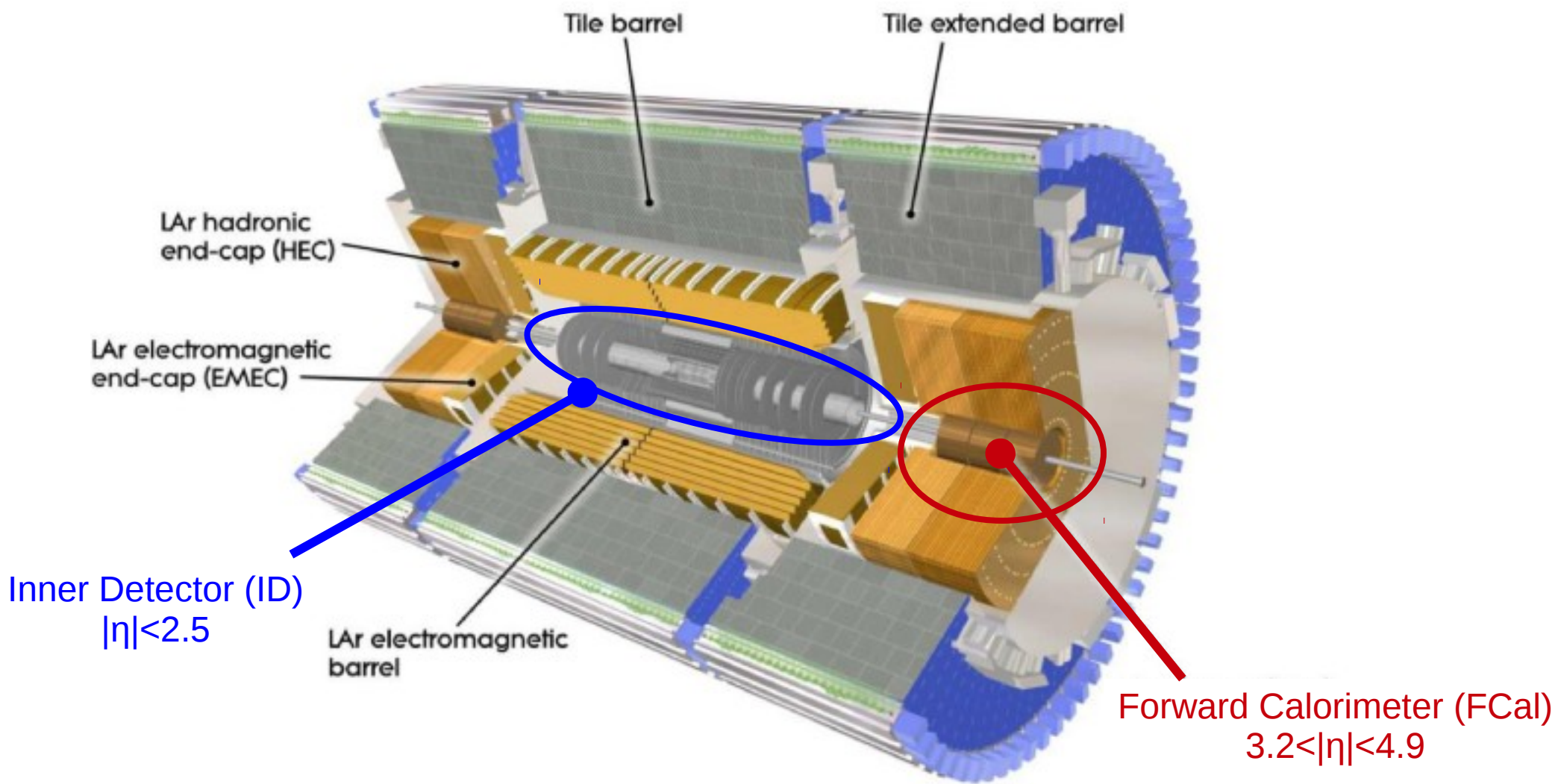
- tracks extrapolated from ITS-TPC
- PID from time of flight measurement

VZERO

- **VZEROA** ($2.8 < \eta < 5.1$)
- **VZEROC** ($-3.7 < \eta < -1.7$)
- Trigger, centrality selection, event plane calculation



~10M minimum bias Pb-Pb events at $\sqrt{s_{NN}} = 2.76$ TeV (2010 run) used for this analysis.



- FCal coverage : $3.2 < |\eta| < 4.9$ (determine Centrality, Event-Shape selection)
- Tracking coverage : $|\eta| < 2.5$ (Track reconstruction, v_n measurement)

Non-flow contribution

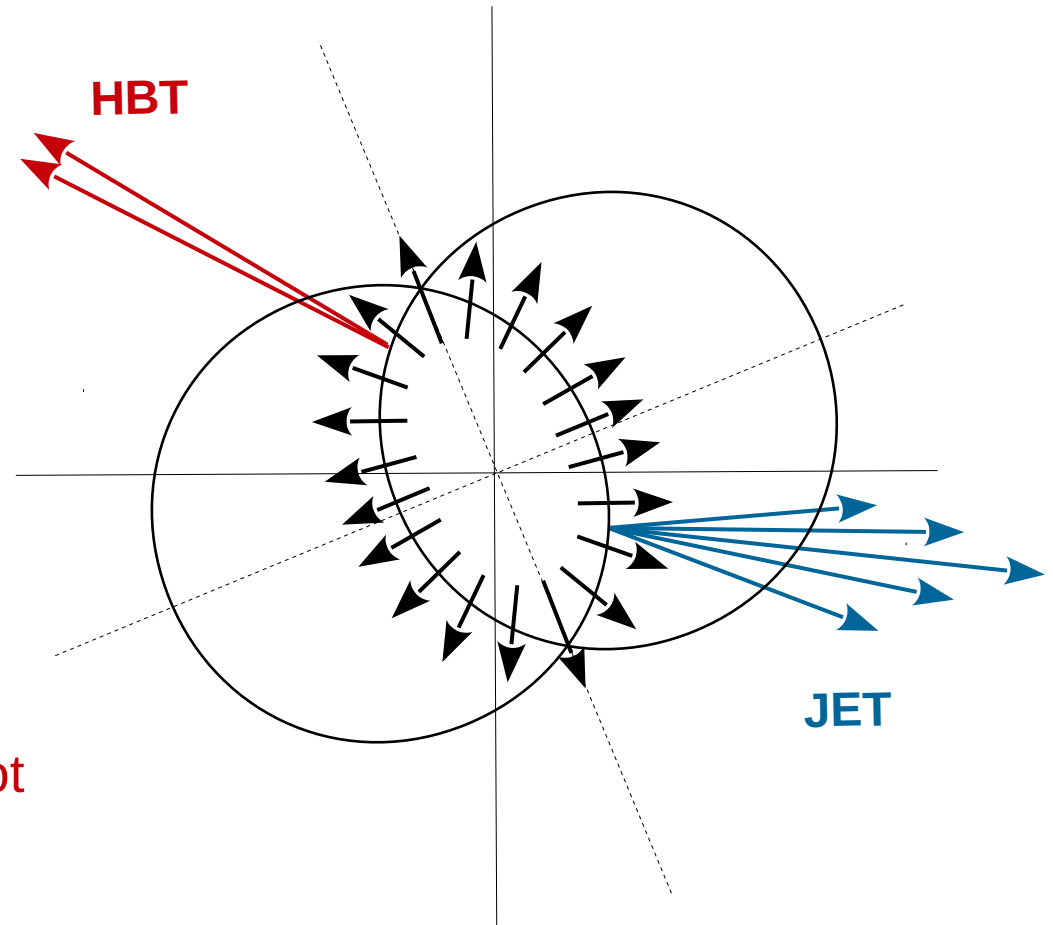
Non-flow definition

contribution to v_n from azimuthal correlations between particles not due to their correlation with the reaction plane

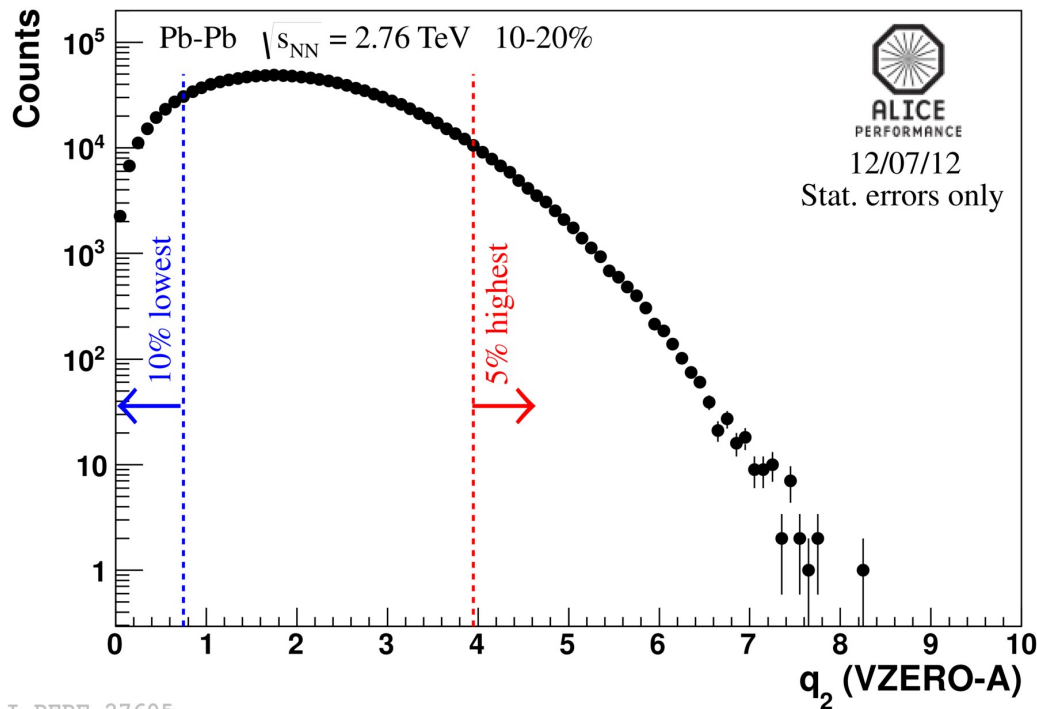
Examples

- HBT
- Resonances
- Jets
- ...

Large gap in pseudo-rapidity between sub-events suppresses correlations not related to the azimuthal asymmetry in the initial geometry



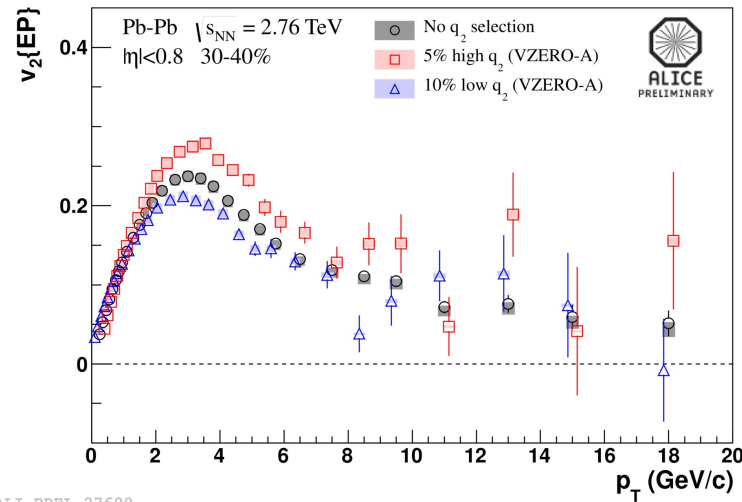
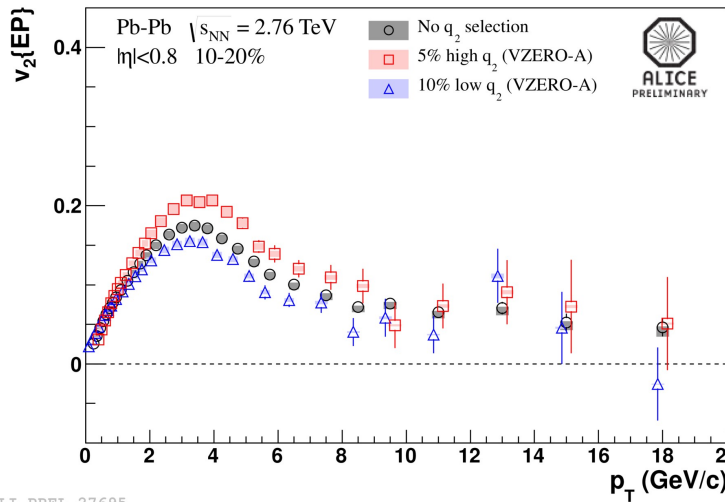
Elliptic flow with ESE: selection



- q -vector from VZERO-A ($2.8 < \eta < 5.1$)
- v_2 evaluated using tracks from TPC ($-0.8 < \eta < 0.8$) and event-plane from VZERO-C ($-3.7 < \eta < -1.7$)
- Large $\Delta\eta$ separation between the three detectors \rightarrow non-flow suppression

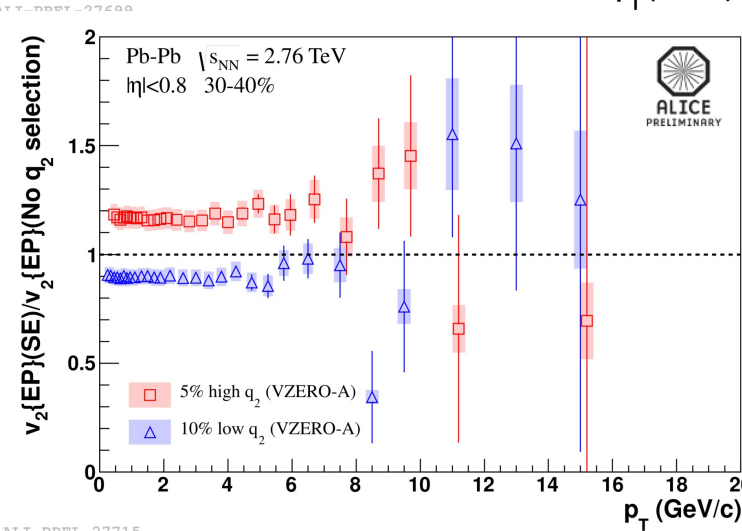
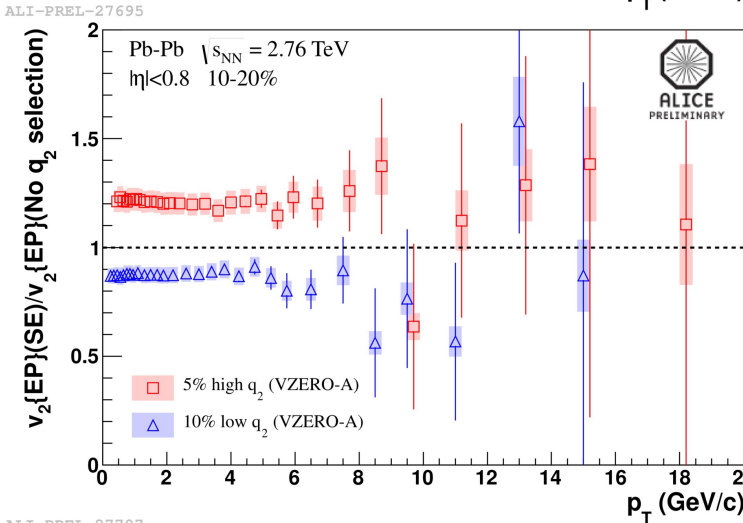


Elliptic flow with ESE



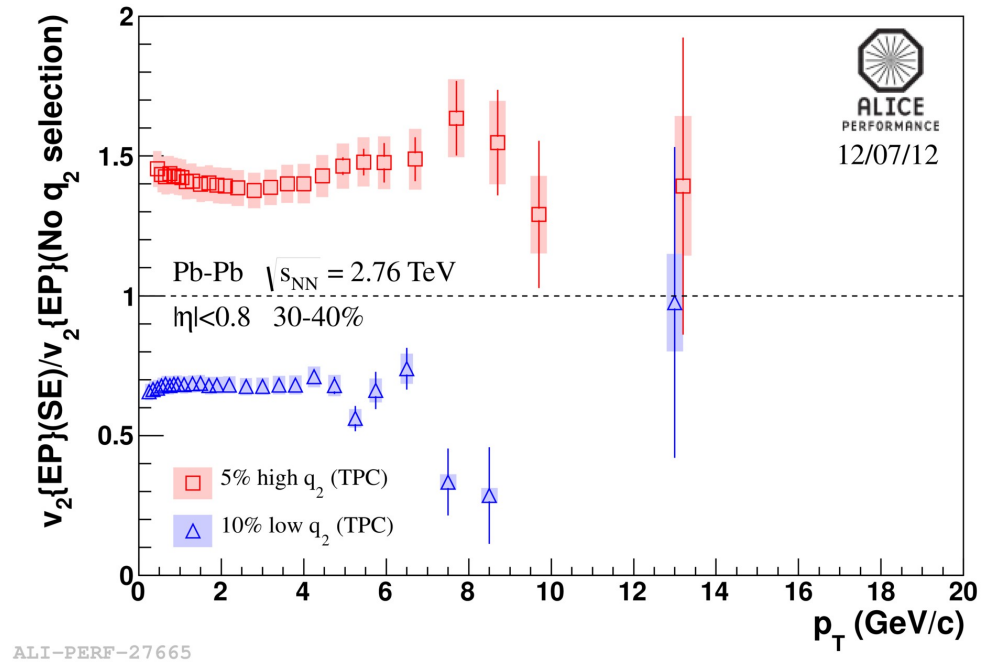
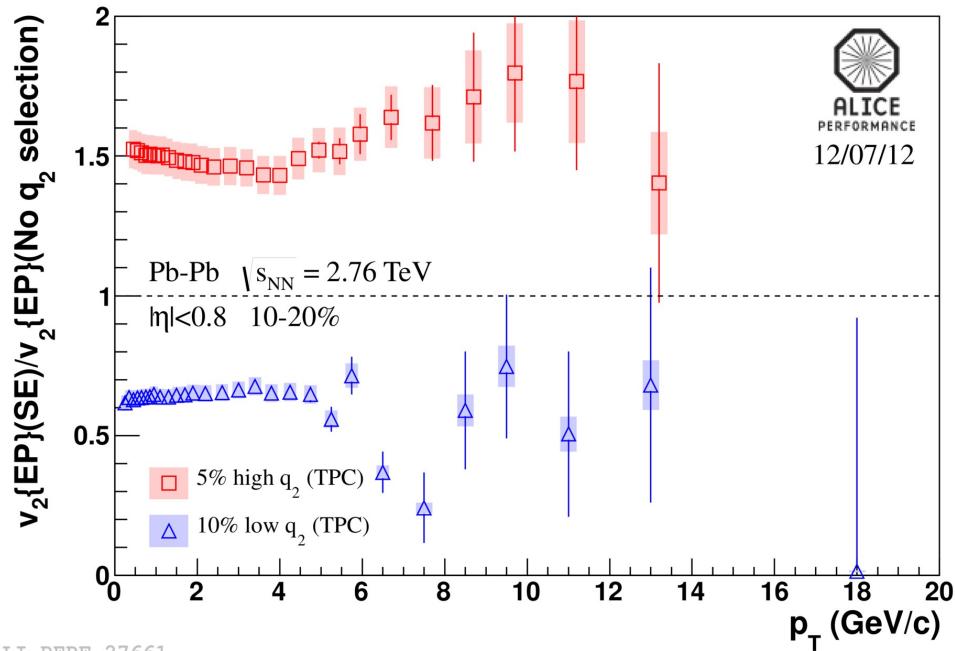
5% high q_2
10% low q_2
No q_2 selection

- q-vector from V0A ($2.8 < \eta < 5.1$)
- v_2 from TPC ($-0.8 < \eta < 0.8$)
- Event-plane from V0C ($-3.7 < \eta < -1.7$)



- Event plane method used to evaluate v_2 (see backup)
- Ratios constant up to $p_T = 6$ GeV/c \rightarrow similar flow fluctuations
- Smaller flow fluctuations effect for $p_T > 6$ GeV/c

Elliptic flow with ESE



- q_2 from half TPC: $-0.8 < \eta < 0$ or $0 < \eta < 0.8$
- v_2 evaluated using tracks from the other half of TPC ($-0.8 < \eta < 0.8$) and event-plane from VZERO
- Non flat ratios may be due to non-flow contributions

Spectra with ESE

Elliptic flow is related with the eccentricity of the collision: $v_2 \propto \epsilon_2$

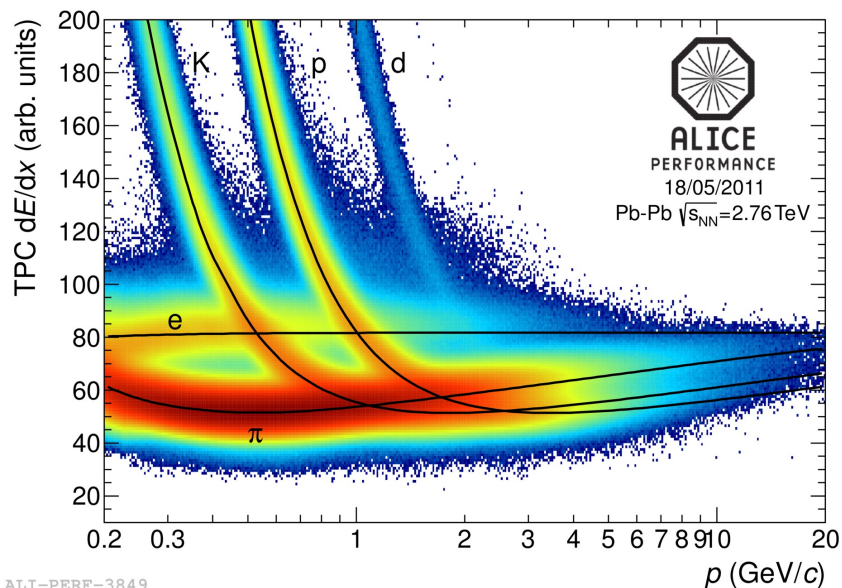
Understand connection between initial condition and hydro response

Event-shape selection: constraint initial condition (size and geometry of the collision fixed)

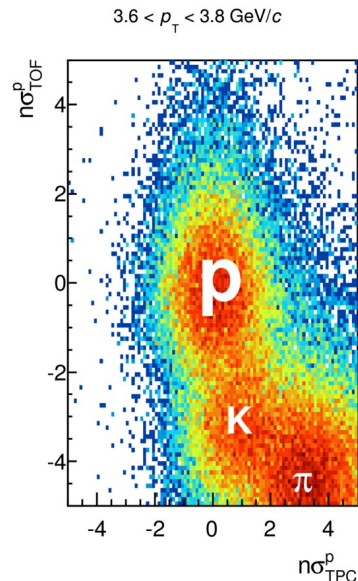
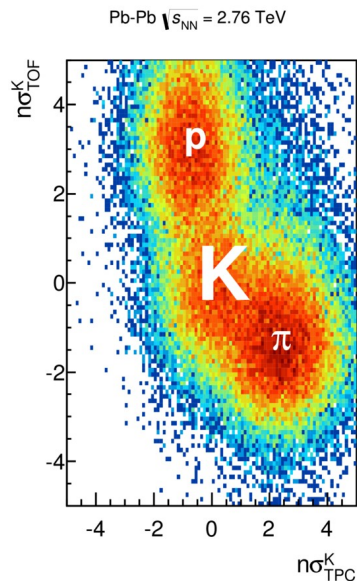
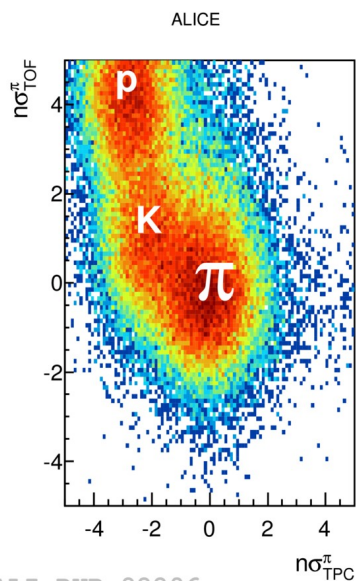
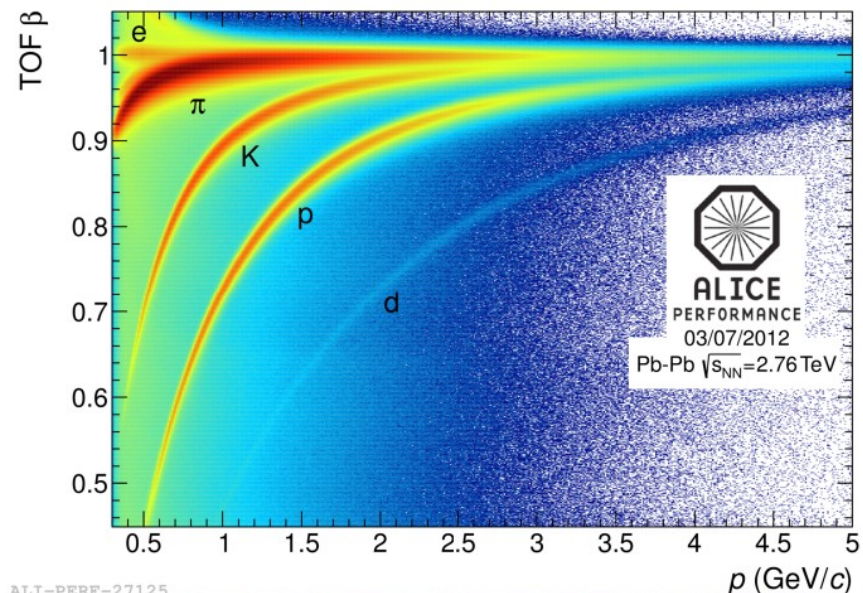
Analysis of transverse momentum spectra in event shaped event: correlation between radial and anisotropic flow?

ALICE Particle IDentification

Time Projection Chamber



Time Of Flight



$$N_{\sigma, PID}^2 = N_{\sigma, TPC}^2 + N_{\sigma, TOF}^2$$

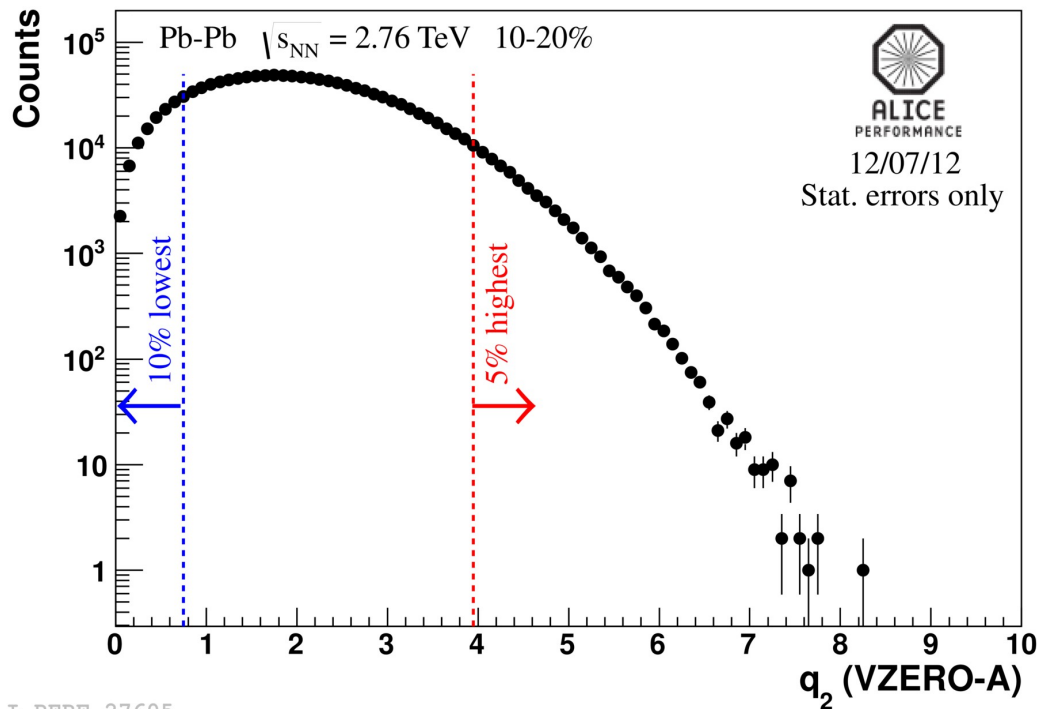
$$N_{\sigma, PID}^2 < 3$$

$$N_{\sigma, PID}^2 = N_{\sigma, TPC}^2 \rightarrow p_T < 0.6 \text{ GeV/c}$$

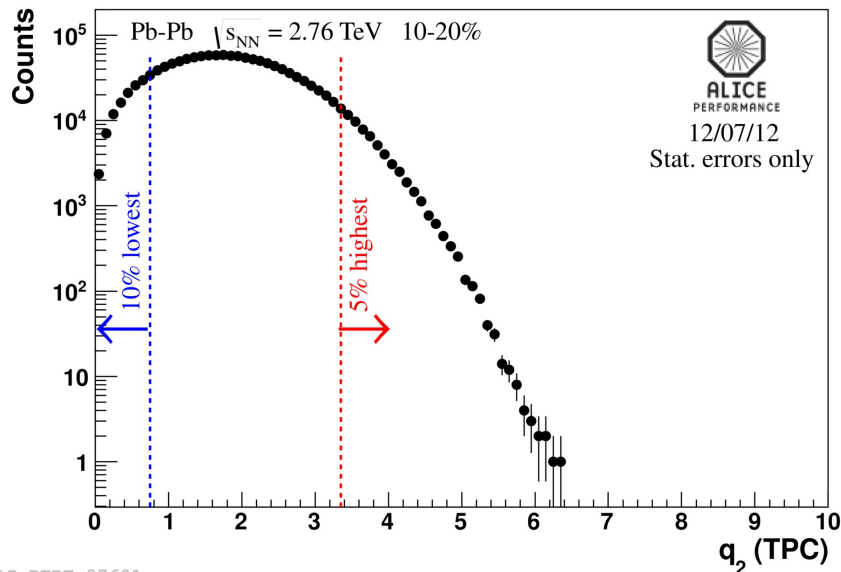
Event plane method

- Flow vectors calculation: $Q_{n,x} = \sum_i w_i \cos(n\phi_i)$ $Q_{n,y} = \sum_i w_i \sin(n\phi_i)$
- Event plane angle calculation: $\psi_n = \left(\tan^{-1} \frac{\sum_i w_i \sin(n\phi_i)}{\sum_i w_i \cos(n\phi_i)} \right) / n$
- Flow coefficients: $v_n^{obs} = \langle \cos[n(\phi_i - \psi_n)] \rangle$
- Event plane resolution correction: $v_n = v_n^{obs} / R_n$ $R_n = \langle \cos(n(\psi_n - \Psi_n)) \rangle$

Elliptic flow with ESE: selection



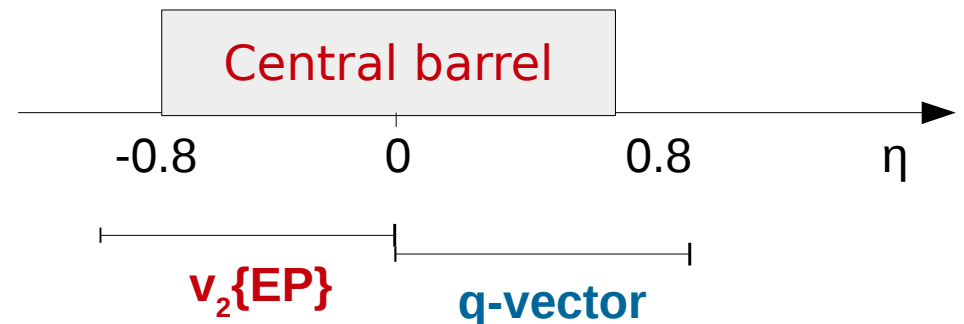
I-PERF-27605



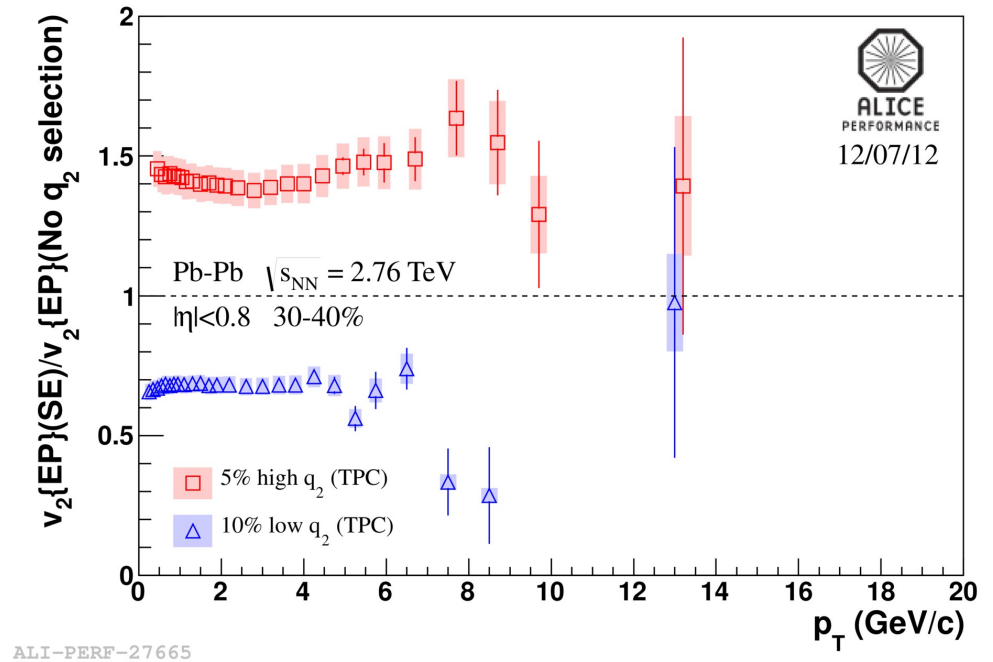
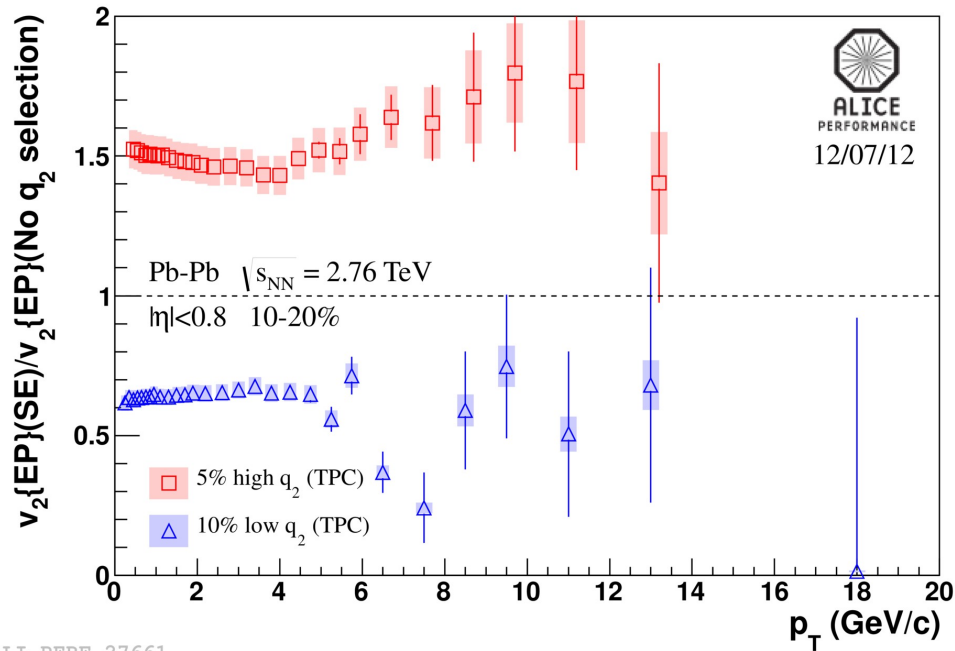
ALI-PERF-27601

- q-vector from VZERO-A ($2.8 < \eta < 5.1$)
- v_2 evaluated using tracks from TPC ($-0.8 < \eta < 0.8$) and event-plane from VZERO-C ($-3.7 < \eta < -1.7$)
- Large $\Delta\eta$ separation between the three detectors \rightarrow non-flow suppression

- q-vector from TPC ($-0.8 < \eta < 0$ or $0 < \eta < 0.8$) and v_2 from the other TPC η window

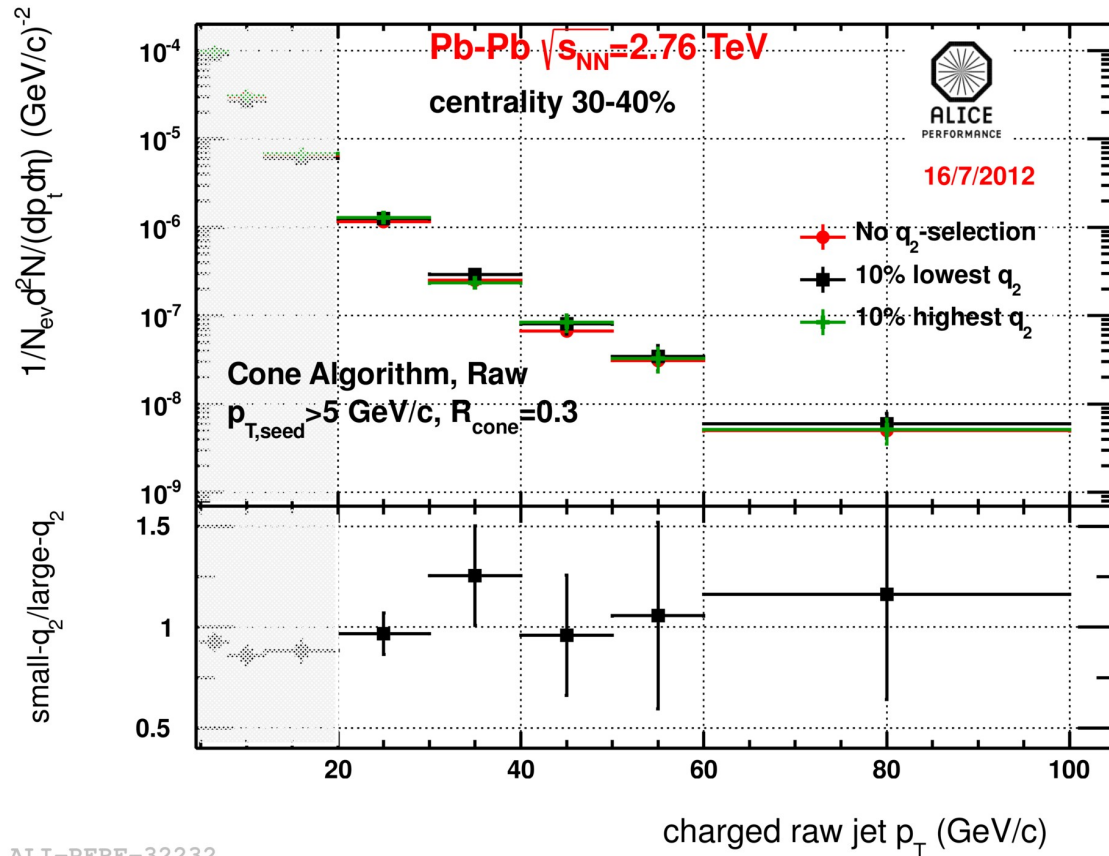


Elliptic flow with ESE



- q_2 from half TPC: $-0.8 < \eta < 0$ or $0 < \eta < 0.8$
- v_2 evaluated using tracks from the other half of TPC ($-0.8 < \eta < 0.8$) and event-plane from VZERO
- Non flat ratios may be due to non-flow contributions

Spectra with ESE



ALI-PERF-32232

- method reliable only above ~ 20 GeV/c
- ratio is flat, “jet” contribution similar

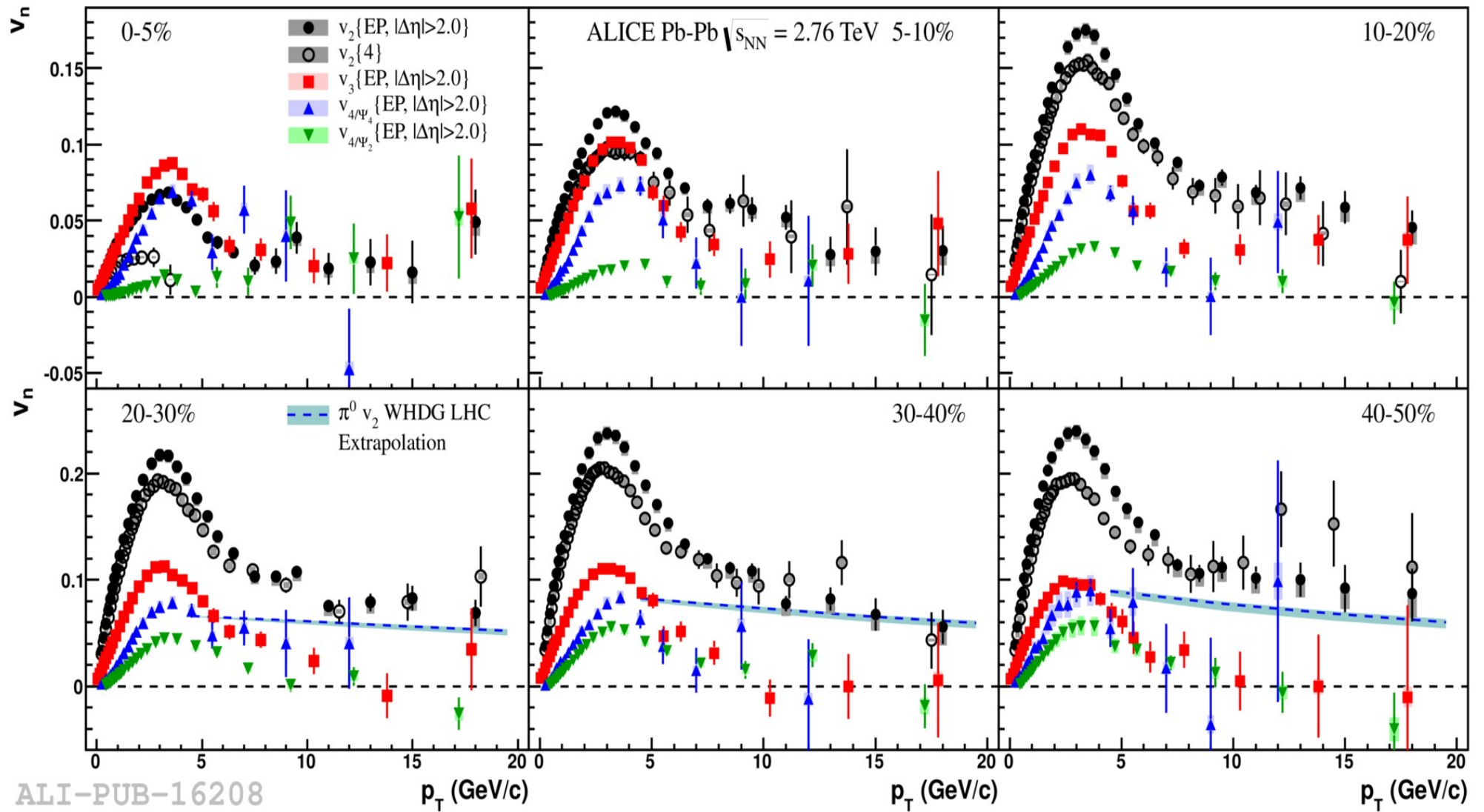
Jet contamination

Background

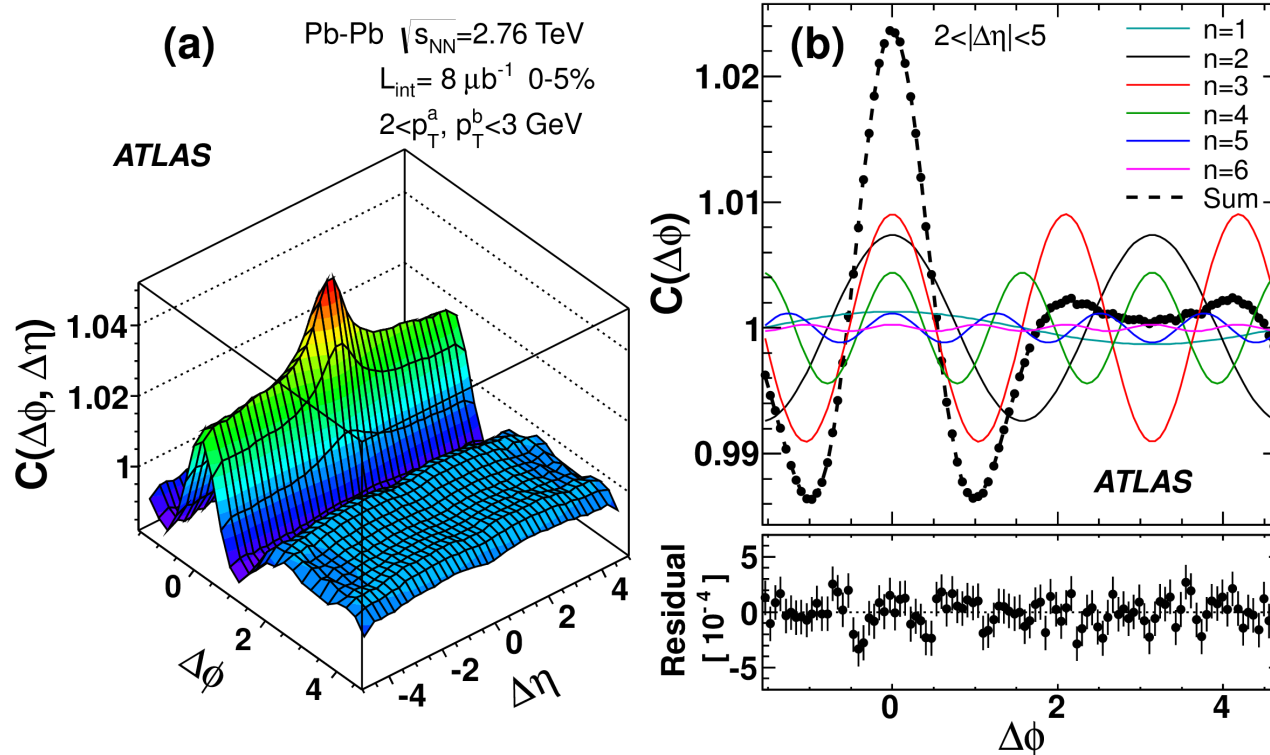
- $P_{T,tot}$ = total pT in the event
- density = $p_{T,tot}$ / acceptance

Energy in a cone

- seed particle: ($p_T > 5$ GeV/c)
- $p_{T,sum}$ = sum of p_T in $R < 0.3$
- area = $\pi \cdot R^2$
- $p_{T,jet} = p_{T,sum} - (\text{density} \cdot \text{area})$



Event-by-event fluctuations



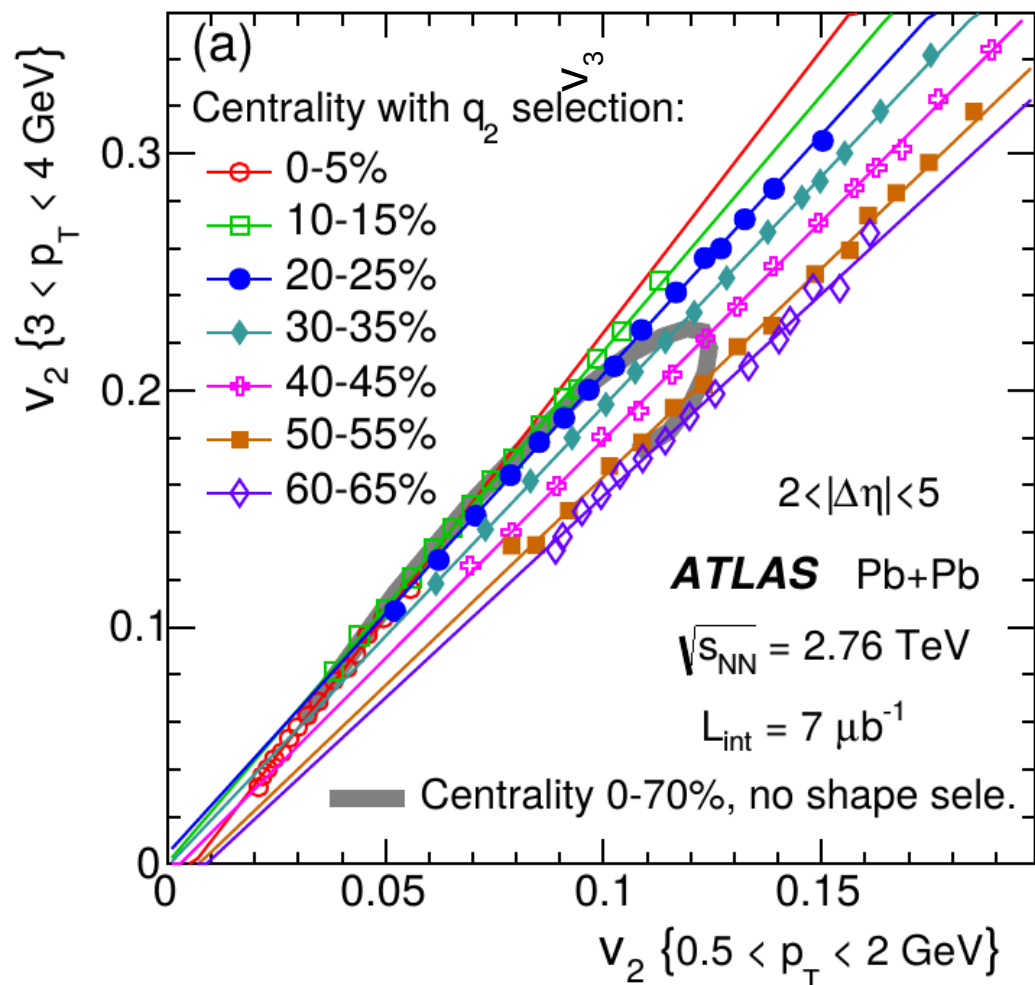
Fluctuations explain entire structure of two particle correlations

solid lines: $v_1, v_2, v_3, v_4, v_5, v_6$ term

dashed line: sum

points: correlation measurement

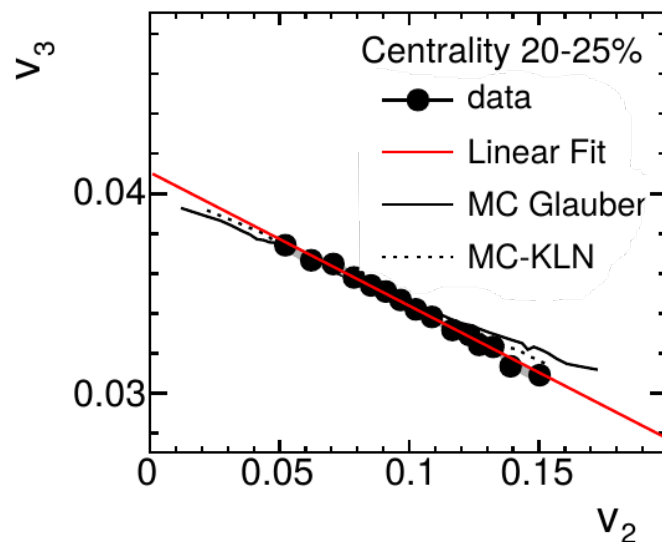
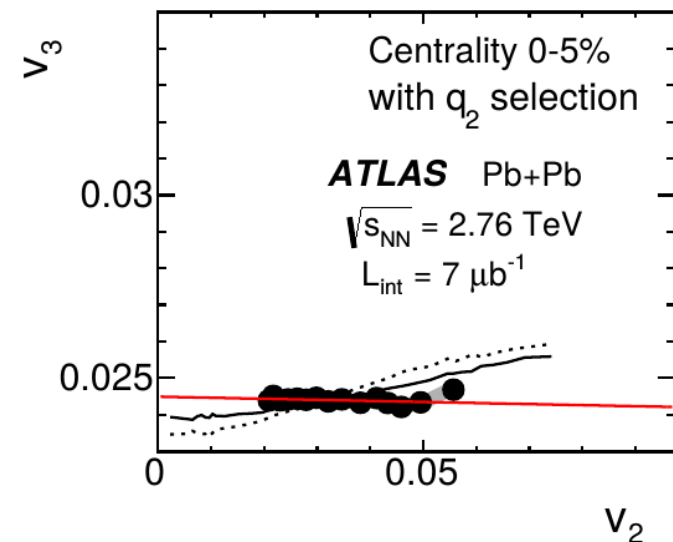
Anisotropic flow



Saw non-trivial dependence with centrality (boomerang like) → different centrality dependence of v_n .

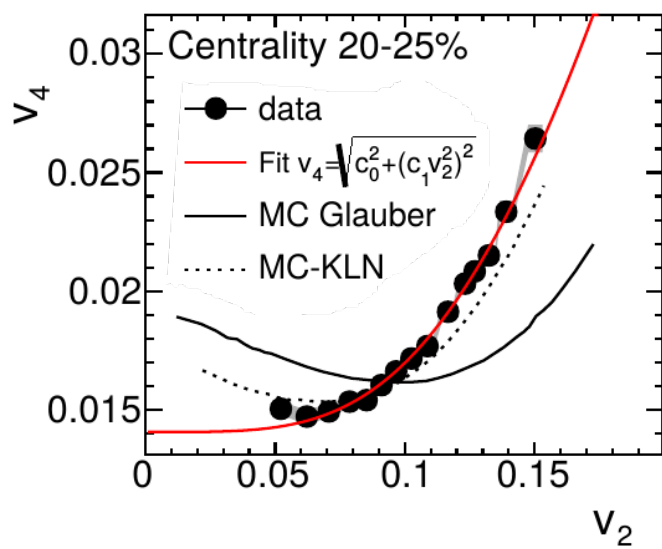
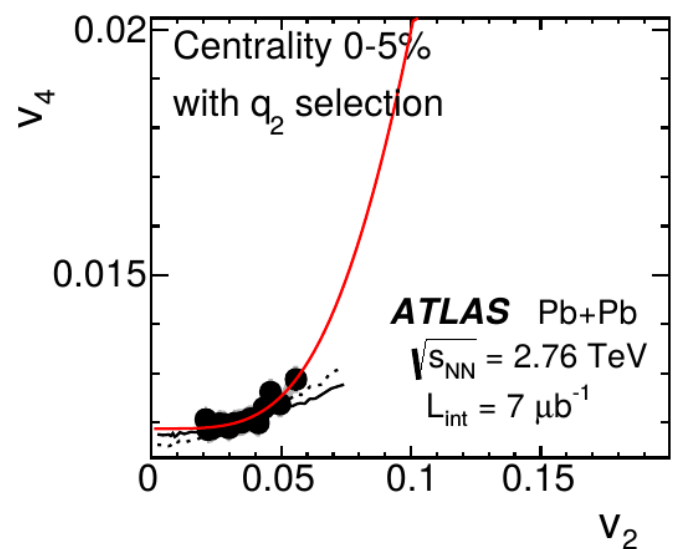
within one centrality the dependence is linear → Indicates that viscous correction mostly controlled by system size, not shape!

Anisotropic flow



Compare (v_3, v_2) correlations to $(\varepsilon_3, \varepsilon_2)$ correlations calculated in Glauber & CGC models.

Good agreement in several centralities, some deviation in (0-5)% central events.



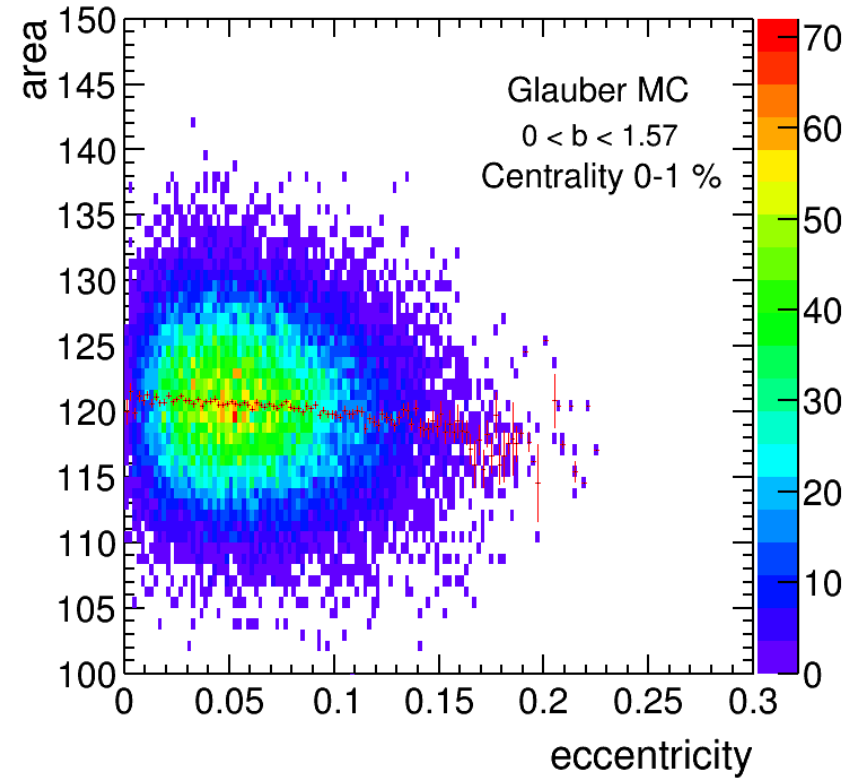
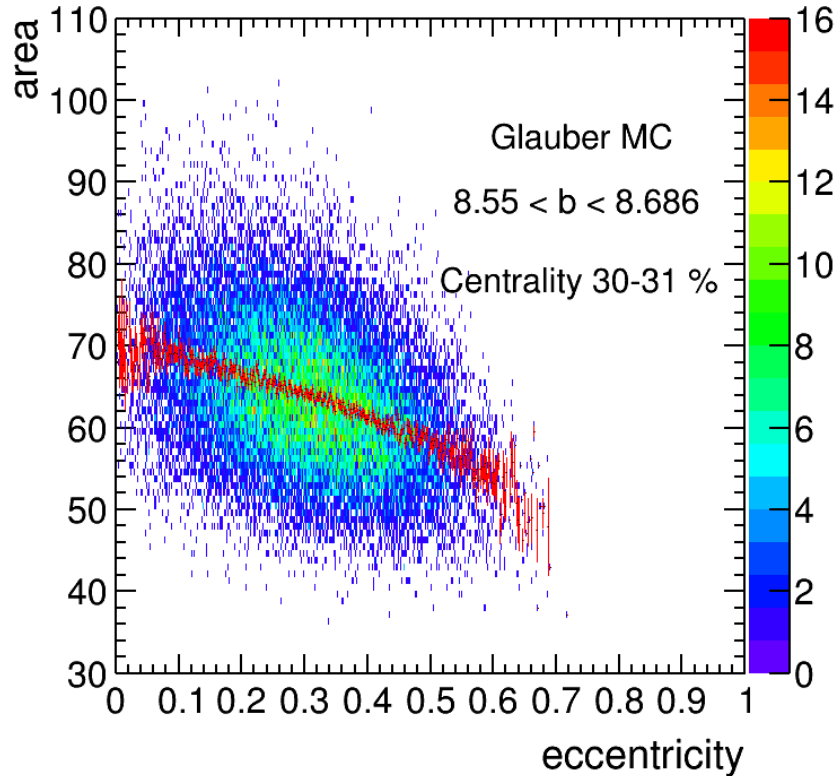
Fit un-correlated + correlated components:

$$v_4 = \sqrt{c_0^2 + c_1^2 v_2^4}$$

Initial geometry models not reproduce data. Non-linear dynamical mode mixing produces these correlations

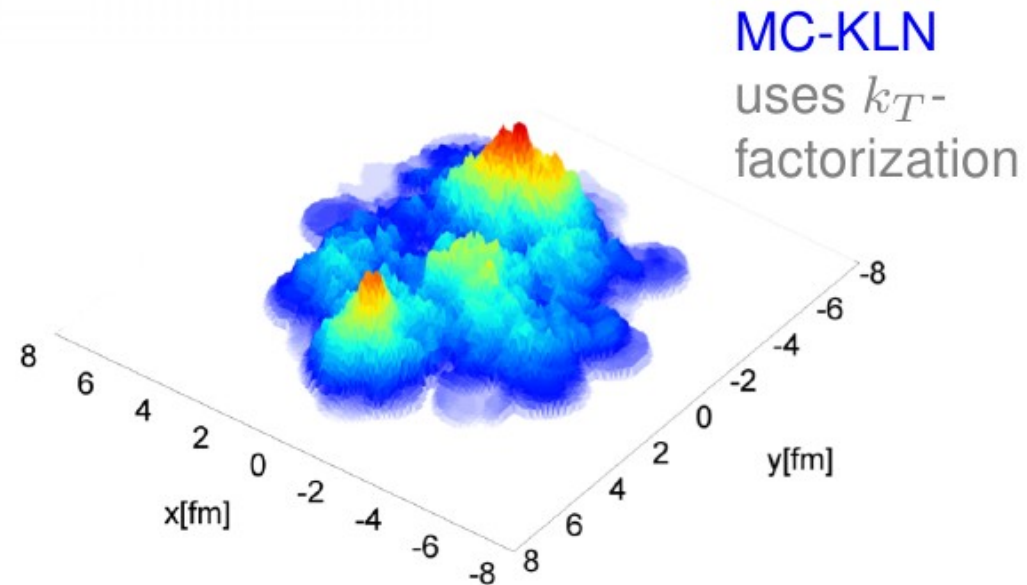
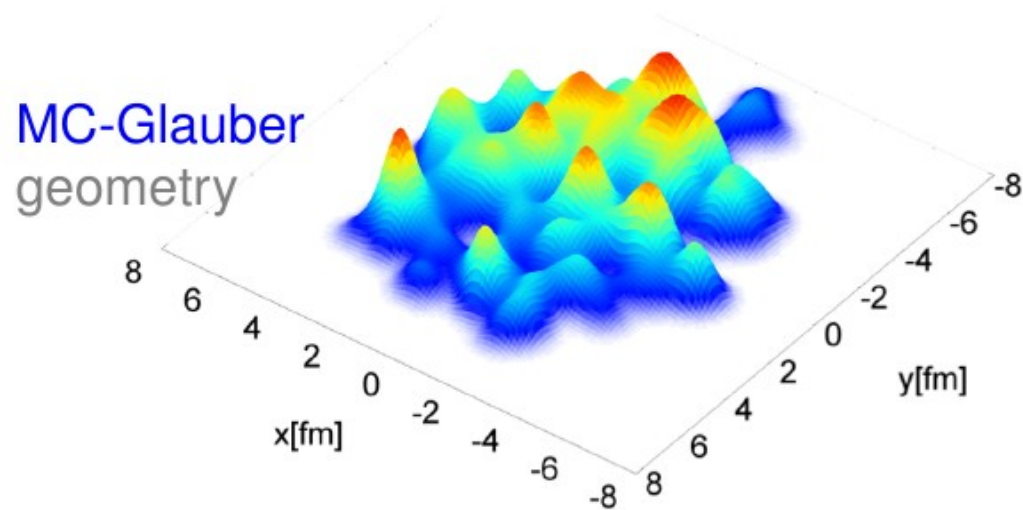
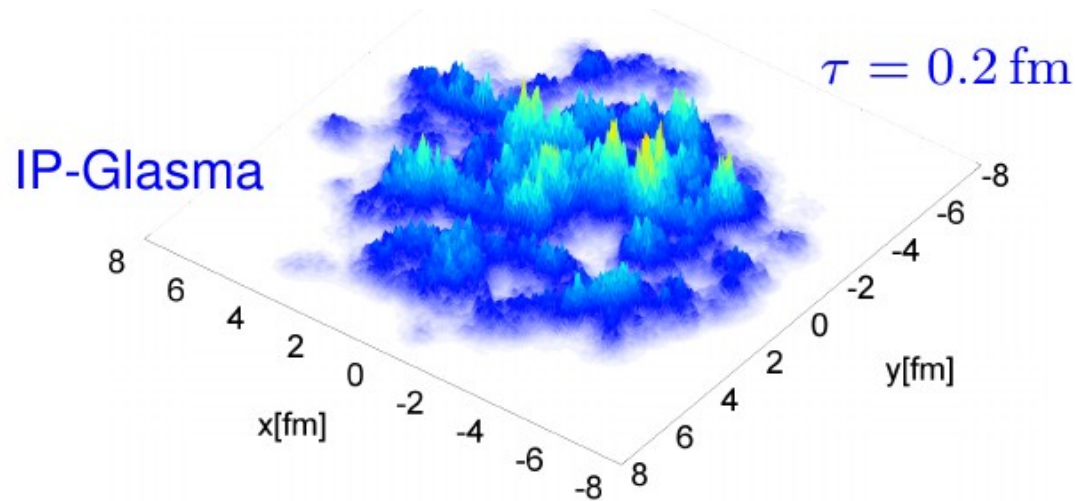
Measurements can constrain initial geometry models

Spectra ESE: Glauber MC

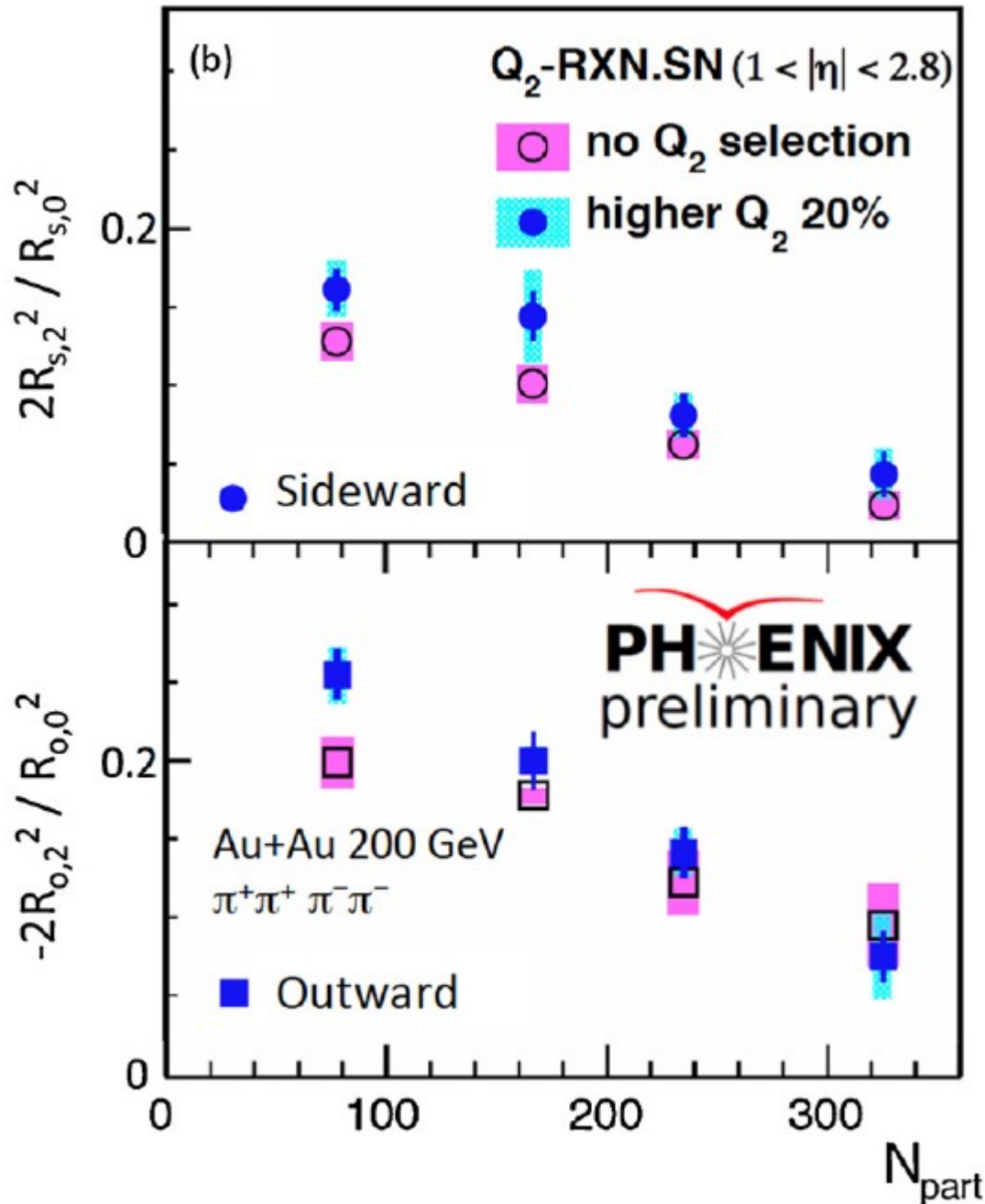


- Area and eccentricity are anti-correlated at fixed b_{imp} (centrality)
- Area inversely related to transverse density (N_{part}/A): positive correlation between eccentricity and density.
- Centrality 0-1 %: weaker correlation between area and eccentricity.
- Glasma e CGC predictions? Can these measurements constrain initial condition models?
- Full hydro simulation needed

Initial energy density



HBT with ESE



The measured azimuthal dependences of radius parameters are fitted with a function:

$$R_{\mu}^2 = R_{\mu,0}^2 + 2R_{\mu,2}^2 \cos(2 \Delta\varphi)$$

the extracted final eccentricity:

$$\varepsilon_{\text{final}} = |2R_{\mu,2}^2 / R_{\mu,0}^2|$$