Discovery Potential for the Standard Model Higgs at ATLAS

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Representing the ATLAS Collaboration

Outline

Introduction

Standard Model Higgs @ LHC/ATLAS

Standard Model Higgs channels considered here:

$$\begin{split} H &\to \gamma \gamma \\ H &\to WW^{(*)} \to e\nu\mu\nu \\ H &\to ZZ^{(*)} \to 4l \ (l = e, \mu) \\ H &\to \tau^+\tau^- \to ll, lh \end{split}$$

Statistical combination of channels

Results

Conclusions and outlook

Emphasis of this talk

Status of Higgs search recently published in:

Expected Performance of the ATLAS Experiment: Detector, Trigger and Physics, arXiv:0901.0512, CERN-OPEN-2008-20.

Updated since previous studies: improved detector description and MC generators, higher order QCD and EW corrections included.

Statistical procedure for combination of channels. Systematics included via profile likelihood

In this talk, concentrate on "discovery modes":

 $\begin{array}{ll} H \rightarrow \gamma \gamma & H \rightarrow WW^{(*)} \rightarrow e\nu\mu\nu \\ H \rightarrow ZZ^{(*)} \rightarrow 4l \ (l=e,\,\mu) & H \rightarrow \tau^+\tau^- \rightarrow ll,\,lh \end{array}$

Some modes not yet included, e.g., WW \rightarrow evev, $\mu\nu\mu\nu$, $l\nu qq$; \rightarrow sensitivity will improve

The Large Hadron Collider



CM energy 14 TeV (design) Low: 2×10^{33} Luminosity $(cm^{-2}s^{-1})$ High: 10³⁴ Bunch crossing 24.95 ns 1.15×10^{11} Particles/bunch Beam radius 16.7 μm $23 @ 10^{34} \text{ cm}^{-2} \text{s}^{-1}$ Overlaid events Dipole field 8.33 Tesla Stored energy 360 MJ/beam



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The ATLAS Detector



G. Aad et al., (The ATLAS Collaboration) J. Instrum. 3 (2008) S08003

Higgs production at the LHC



Vector Boson Fusion

VBF (qq \rightarrow qqH) gives two forward jets, no colour connection \rightarrow large rapidity gap



Additional kinematic properties give background suppression studied in ATLAS for: $H \rightarrow WW$, $\tau\tau$, $\gamma\gamma$



$$H \rightarrow ZZ^{(*)} \rightarrow 4l \quad (l = e, \mu)$$

Effective in a broad mass range for $m_{\rm H} > 130 \text{ GeV}$ (except small gap between $2M_{\rm W}$ and $2M_{\rm Z}$).

Lepton efficiency crucial: $\varepsilon_{4l} \sim \varepsilon_l^4$

Require at least one Z on shell.

Main triggers: $p_{\rm T}(e) > 22 \text{ GeV or } p_{\rm T}(\mu) > 20 \text{ GeV}$

Main background: ZZ^(*)

also (reducible) Zbb, tt, suppress with isolation, impact parameter, vertex constraints

Fit remaining background from sidebands of m_{4l} .



$H \rightarrow ZZ^{(*)} \rightarrow 4l$ sensitivity



 $H \rightarrow \tau^+ \tau^-$ with 2 jets

Exploit VBF kinematics to suppress Z+jets, tt backgrounds (Central Jet Veto).

Use $\tau \tau \rightarrow ll$, *lh* (also study $\tau \tau \rightarrow hh$).

Higgs mass reconstructed using missing $E_{\rm T}$ and by assuming tau decay products collinear with tau.



Main triggers: $p_T(e) > 22$ GeV or $p_T(\mu) > 20$ GeV Important backgrounds: Z + jets, tt

Z + jets background control: select Z $\rightarrow \mu\mu$, replace μ by (MC) τ

$H \rightarrow \tau^+ \tau^-$ with 2 jets

Simultaneous fit of signal and QCD, Z+jets control samples:



$\tau \tau \rightarrow lh$ gives most sensitivity:

II-channel

combined

m_µ (GeV)

Ih-channel

 $H \rightarrow \gamma \gamma$

For $115 < m_{\rm H} < 140$ GeV, BR ~ 0.002, but distinct signature. Inclusive analysis based on $m_{\gamma\gamma}$

Exclusive analyses (H + 0,1,2 jets) also use other variables (event topology, $p_{T,\gamma\gamma}$, $\cos\theta_{\gamma\gamma}$ *); combined in simultaneous fit. Main triggers: 2 photons, each $p_T > 20$ GeV

Main backrounds: $\gamma\gamma$, γ +jet, jet+jet

57% of H $\rightarrow\gamma\gamma$ events have at least one photon convert ($|\eta|$ <2.5)

Conversion reconstruction efficiency 66.4% (r < 40 cm) $\gamma\gamma$ vertex from ECAL pointing and tracker.



 $H \rightarrow \gamma \gamma$



Expected discovery significance for inclusive and combination of exclusive channels (H + 0,1,2 jets), here both fixed and floating $m_{\rm H}$.

Inclusive analysis used in current combination with other channels.

 $m_{\gamma\gamma}$ resolution crucial. Note number of entries here for 1 fb⁻¹ ~ 250 \rightarrow 6% stat. error per bin.



$H \rightarrow WW^{(*)}$

Most important for $2M_W < m_H < 2M_Z$ Two cases: no jets (mainly gg fusion) and 2 jets (mainly VBF) For now only WW $\rightarrow ev\mu v$ (evev, $\mu v \mu v l v qq$ under study) No mass peak because of neutrinos \rightarrow use transverse mass:

$$m_{\mathsf{T}} = \sqrt{(E_{\mathsf{T},\mathsf{miss}} + E_{\mathsf{T},ll})^2 - (\vec{p}_{\mathsf{T},\mathsf{miss}} + \vec{p}_{\mathsf{T},ll})^2}$$

where

$$E_{\mathsf{T},ll} = \sqrt{p_{\mathsf{T},ll}^2 + m_{ll}^2}$$

$$E_{\mathrm{T,miss}} = \sqrt{p_{\mathrm{T,miss}}^2 + m_{ll}^2}$$

 $H \rightarrow WW$ with 0 jets

Main triggers: $p_{\rm T}(e) > 22 \text{ GeV or } p_{\rm T}(\mu) > 20 \text{ GeV}$

Main background: QCD WW

Simultaneous fit of:

transverse mass, $p_{\rm T}$ of WW, $\Delta \phi_{ll}$ (angle between *ll* in transverse plane)

Correlated W spins cause leptons to go preferentially in same direction:





$H \rightarrow WW$ with 2 jets

Main triggers: $p_{\rm T}(e) > 22 \text{ GeV or } p_{\rm T}(\mu) > 20 \text{ GeV}$

Main background: tt

Select signal region in $\Delta \eta_{ll}$, $\Delta \phi_{ll}$ Simultaneous fit of transverse mass and neural net output based on jet activity



Statistical combination of channels Treat systematics by means of profile likelihood method. Considers fixed-mass hypothesis; "look-elsewhere-effect" must be studied separately.

Studies for individual channels also use floating-mass fits. Approximate methods for discovery/exclusion significance. Valid for L > 2 fb⁻¹. For lower L need MC methods. Does not represent final word on methods -- other developments ongoing (Bayesian, CL_s, look-elsewhere-effect,...)

In following describe method for binned distributions; some channels also use unbinned fits.

Statistical model

Bin *i* of a given channel has n_i events, expectation value is

$$E[n_i] = \mu L \varepsilon_i \sigma_i \mathcal{B} + b_i \equiv \mu s_i + b_i$$

 μ is global strength parameter, common to all channels. $\mu = 0$ means background only, $\mu = 1$ is SM hypothesis.

Expected signal and background are:

$$s_{i} = s_{\text{tot}} \int_{\text{bin } i} f_{s}(x; \theta_{s}) dx , \qquad b_{\text{tot}}, \theta_{s}, \theta_{b} \text{ are nuisance parameters}$$
$$b_{i} = b_{\text{tot}} \int_{\text{bin } i} f_{b}(x; \theta_{b}) dx$$

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The likelihood function

The single-channel likelihood function uses Poisson model for events in signal and control histograms:



There is a likelihood $L_i(\mu, \theta_i)$ for each channel, i = 1, ..., N.

The full likelihood function is $L(\mu, \theta) = \prod_i L_i(\mu, \theta_i)$

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Profile likelihood ratio

To test hypothesized value of μ , construct profile likelihood ratio:

$$\lambda(\mu) = \frac{L(\mu, \hat{\hat{\theta}})}{L(\hat{\mu}, \hat{\theta})} - Maximized L \text{ for given } \mu$$

Equivalently use $q_{\mu} = -2 \ln \lambda(\mu)$:

data agree well with hypothesized $\mu \rightarrow q_{\mu}$ small data disagree with hypothesized $\mu \rightarrow q_{\mu}$ large

Distribution of q_{μ} under assumption of μ related to chi-square (Wilks' theorem, approximation valid for roughly L > 2 fb⁻¹):

$$f(q_{\mu}|\mu) \approx \frac{1}{2} f_{\chi_{1}^{2}}(q_{\mu}) + \frac{1}{2} \delta(q_{\mu})$$

p-value / significance of hypothesized μ

Test hypothesized μ by giving p-value, probability to see data with \leq compatibility with μ compared to data observed:





Equivalently use significance, Z, defined as equivalent number of sigmas for a Gaussian fluctuation in one direction:

$$Z = \Phi^{-1}(1-p)$$

Sensitivity

Discovery:

Generate data under *s*+*b* (μ = 1) hypothesis; Test hypothesis μ = 0 \rightarrow *p*-value \rightarrow *Z*.

Exclusion:

Generate data under background-only ($\mu = 0$) hypothesis; Test hypothesis $\mu = 1$. If $\mu = 1$ has *p*-value < 0.05 exclude $m_{\rm H}$ at 95% CL.

Estimate median significance by setting data equal to expectation values or by using MC.

For median, can combine significances of individual channels. For significance of e.g. a real data set, need global fit.

Combined discovery significance



Combined discovery significance

Discovery significance (in colour) vs. L, $m_{\rm H}$:



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Combined 95% CL exclusion limits



For 2 fb⁻¹, expected 95% CL upper limit on $m_{\rm H}$ is 115 GeV.

Combined 95% CL exclusion limits

1 - p-value of $m_{\rm H}$ (in colour) vs. $L, m_{\rm H}$:



Summary and conclusions

Studies here only cover Standard Model Higgs channels most relevant to discovery

some modes not yet included \rightarrow sensitivity will improve

Studies use NLO cross sections, improved MC generators, detailed detector simulation, improved statistical treatment.

Systematic uncertainties treated using profile likelihood.

Due to approximations used, combined results valid for L > 2 fb⁻¹ For L = 2 fb⁻¹:

> expected discovery 5σ or more in 143 < $m_{\rm H}$ < 179 GeV, expected upper limit on $m_{\rm H}$ at 95% CL is 115 GeV

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Extra slides

The "look-elsewhere effect"

- Look for Higgs at many $m_{\rm H}$ values -- probability of seeing a large fluctuation for *some* $m_{\rm H}$ increased.
- Combined significance shown here relates to fixed $m_{\rm H}$.
- False discovery prob enhanced by ~ mass region explored / σ_m For H $\rightarrow\gamma\gamma$ and H \rightarrow WW, studied by allowing $m_{\rm H}$ to float in fit:



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Expected discovery significance



Expected *p*-value of SM vs $m_{\rm H}$



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$H \rightarrow 4l$ at different $m_{\rm H}$





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Example from validation exercise: $ZZ^{(*)} \rightarrow 4l$ Distributions of q_0 for 2, 10 fb⁻¹ from MC compared to $\frac{1}{2}\chi^2$

