



THE ROLE OF HYDRATION IN CARBOHYDRATES PROPERTIES

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- Scientific Issue: atomic description of hydration can be useful to explain carbohydrates function (sweet taste response, bio-protection...)
- Experimental results from neutron diffraction with isotopic substitution combined with computer simulation



Structure-activity

- Why glucose is sweet?
- Why trehalose is an high efficiency bioprotectant agent?
- Why cellobiose is not sweet ?
- What is the role of atomic hydration to understand these properties?

Carbohydrates



Experimental setup for NDIS



SANDALS (Small Angle Neutron Diffractometer for Amorphous and Liquid Samples)





High energy neutrons: $0.05\text{\AA} \le \lambda \le 5.0\text{\AA}$

Wide Q range: 0.1Å⁻¹≤ Q ≤ 50Å⁻¹



 $\left(\frac{d\sigma}{d\Omega}\right)_{tot} = \left(\frac{d\sigma}{d\Omega}\right)_{distinct} + \left(\frac{d\sigma}{d\Omega}\right)_{self}$ $= \sum_{\alpha} c_{\alpha} b_{\alpha}^{2} \left(\mathbf{1} + P(Q, \mathcal{G}) + F(Q)\right)$



The short range structure of the sample (water+solute) can be obtained by using **EPSR** which is a Monte Carlo algorithm, updating the interatomic potential according to the data.



1. Simulation box: ρ , c_{α}

$$U^{ref}_{\alpha\beta}(r) = 4\varepsilon_{\alpha\beta} \left[\left(\frac{\sigma_{\alpha\beta}}{r} \right)^{12} - \left(\frac{\sigma_{\alpha\beta}}{r} \right)^{6} \right] + \frac{q_{\alpha}q_{\beta}}{4\pi\varepsilon r}$$
------Lennard-Jones potential-----

- 2. Reference potential
 - Movements minimizing energy
 - New atomic configurations
 - Comparison with experimental structure factors
 - Updating pair potential

To obtain Radial Distribution Function RDF

$$g_{\alpha\beta}(r) = 1 + \frac{1}{2\pi^2 \rho} \int_0^\infty Q^2 dQ (S_{\alpha\beta}(Q) - 1) \frac{\sin(Qr)}{Qr}$$

$$n^{\beta}{}_{\alpha}(r) = 4\rho\pi c_{\beta} \int_{r_1}^{r_2} r^2 g_{\alpha\beta}(r) dr$$

Different Hydration of hydroxyl-group



Spatial density function (SDF)



Different H -bonds with water:

-<u>different</u> <u>directionality</u>

-<u>different</u> <u>distance</u>







R=(0-3.5) Å R=(0-4) Å

Contrast 0.3

Spatial density maps (SDM)



S.E.Pagnotta et al, J. Phys. Chem. B, 114, 4904–4908 (2010).

W.B.O'Dell, D.C. Baker, S.E. McLain, PLoS ONE, 7, 10 (2012).

"Triangle" of sweetness



- Inter- and intra-molecular H bonds;
- hydrophilic and hydrophobic sites;
- flexibility;
- single glucose ring required.

Different hydration-different function

Sweet because:

- has the right structure for the taste bud receptor;
- makes directional H-bonds;
- fits the AH-B-X model.

Not sweet because:

- doesn't make directional H-bonds;
- doesn't fit the AH-B-X model. But

Could explain trehalose-trehalose interaction (Bio-protection??)

Not sweet because has no flexibility (fiber component)



Conclusion

4Different atomic hydration can be the key to explain functionality of some sugars.

Water mediated H-bonds are useful to predict sweet response.





Prof. Fabio Bruni

Prof. Maria Antonietta Ricci

Sylvia McLain



THANKS FOR YOUR ATTENTION



Angula

- Collects many EPSR or MD configurations to determine:
- 1. Position and orientation of neighboring solute and water molecules around a central reference molecule;
- 2. Spatial density maps (SDMs) that show the probability density of one molecule around another in three dimensions.

Proline-water SDMs



https://gcm.upc.edu/en/members/luiscarlos/angula/ANGULA

Bioprotection

Some sugars protect cell membranes from stress induced by dehydration or osmotic/termic shock. Trehalose is the best performer in this sense.

Saccharomyces cerevisiae





Multiatomic system and EPSR(Empirical potential structure Refinement)

$$\begin{pmatrix} d\sigma \\ d\Omega \end{pmatrix}_{iot} = \begin{pmatrix} d\sigma \\ d\Omega \end{pmatrix}_{distinct} + \begin{pmatrix} d\sigma \\ d\Omega \end{pmatrix}_{self}$$

$$= \sum_{\alpha} c_{\alpha} b_{\alpha}^{-2} (\mathbf{1} + P(Q, \vartheta) + F(Q))$$

$$F(Q) = \sum_{\alpha,\beta \geq \alpha} (2 - \delta_{\alpha\beta}) c_{\alpha} c_{\beta} b_{\alpha} b_{\beta} (S_{\alpha\beta}(Q) - \mathbf{1})$$

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$$F_{H_{2}O}(Q) = c_{H}^{-2} \langle b_{H} \rangle^{2} S_{HH}(Q) + c_{\chi}^{-2} \langle b_{\chi} \rangle^{2} S_{\chi\chi}(Q) + 2c_{H} c_{\chi} \langle b_{H} \rangle \langle b_{\chi} \rangle S_{\chi H}(Q)$$

$$F_{H_{2}O}(Q) = c_{D}^{-2} \langle b_{D} \rangle^{2} S_{HH}(Q) + c_{\chi}^{-2} \langle b_{\chi} \rangle^{2} S_{\chi\chi}(Q) + 2c_{D} c_{\chi} \langle b_{D} \rangle \langle b_{\chi} \rangle S_{\chi H}(Q)$$

$$F_{H_{2}O}(Q) = \langle b_{HD} \rangle^{2} S_{HH}(Q) + c_{\chi}^{-2} \langle b_{\chi} \rangle^{2} S_{\chi\chi}(Q) + 2c_{L} c_{\chi} \langle b_{D} \rangle \langle b_{\chi} \rangle S_{\chi H}(Q)$$

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