

On the Stability of Fundamental Couplings in the Galaxy

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Relevant references:

- Truppe et al. *Nature Communications* 4, 2600 (2013), ArXiv: 1308.1496
- Levshakov et al. *A. & A.* 559, A91 (2013), ArXiv: 1310.1850
- Vianez et al. submitted to *Phys. Rev. D* (2014)



Outline

- Motivation
 - Fundamental Scalar Fields;
 - Fundamental couplings and their eventual variation;
 - Low *redshifts* studies;
- What was done
 - Results and experimental method;
- What we did
 - Simultaneous variations;
 - Breaking the degeneracy;
 - Alternative models.
- Conclusions and future perspectives

Fundamental Scalar Fields

- We now know that fundamental scalar fields are part of Nature's building blocks.
- Scalar fields play a key role in most paradigms of modern cosmology, yielding *inter alia*
 - Exponential expansion of the early universe (inflation);
 - Cosmological phase transitions & their relics (cosmic defects);
 - Dynamical dark energy powering current acceleration phase;
 - Varying fundamental couplings.
- More important than each of these is the fact that they don't occur alone: this allows for key consistency tests to be made.

Fundamental Scalar Fields

- We all know that fundamental couplings run with energy.
- Moreover, in many (or arguably most?) models they will equally naturally *role* in time and *ramble* in space.
- Therefore astrophysical (and local) tests of their stability provide us with optimal probes of fundamental cosmology.

The Constants of Nature

- Nature is characterized by a set of physical laws and fundamental dimensionless couplings, which historically we have assumed to be spacetime-invariant.
 - For the former, this is a cornerstone of the scientific method;
 - For the latter, a simplifying assumption without further justification.
- These couplings determine the properties of atoms, cells, planets and the universe, yet we have no theory for them.

The Constants of Nature

- Improved null results are important and useful; however, a detection would be revolutionary.
 - The natural scale for cosmological evolution would be Hubble time, but current bounds are six orders of magnitude stronger;
 - Varying non-gravitational constants imply a violation of the Einstein Equivalence Principle, a 5th force of nature, etc.

Phys. Rev. 82, 554 (1951)

The Ratio of Proton and Electron Masses

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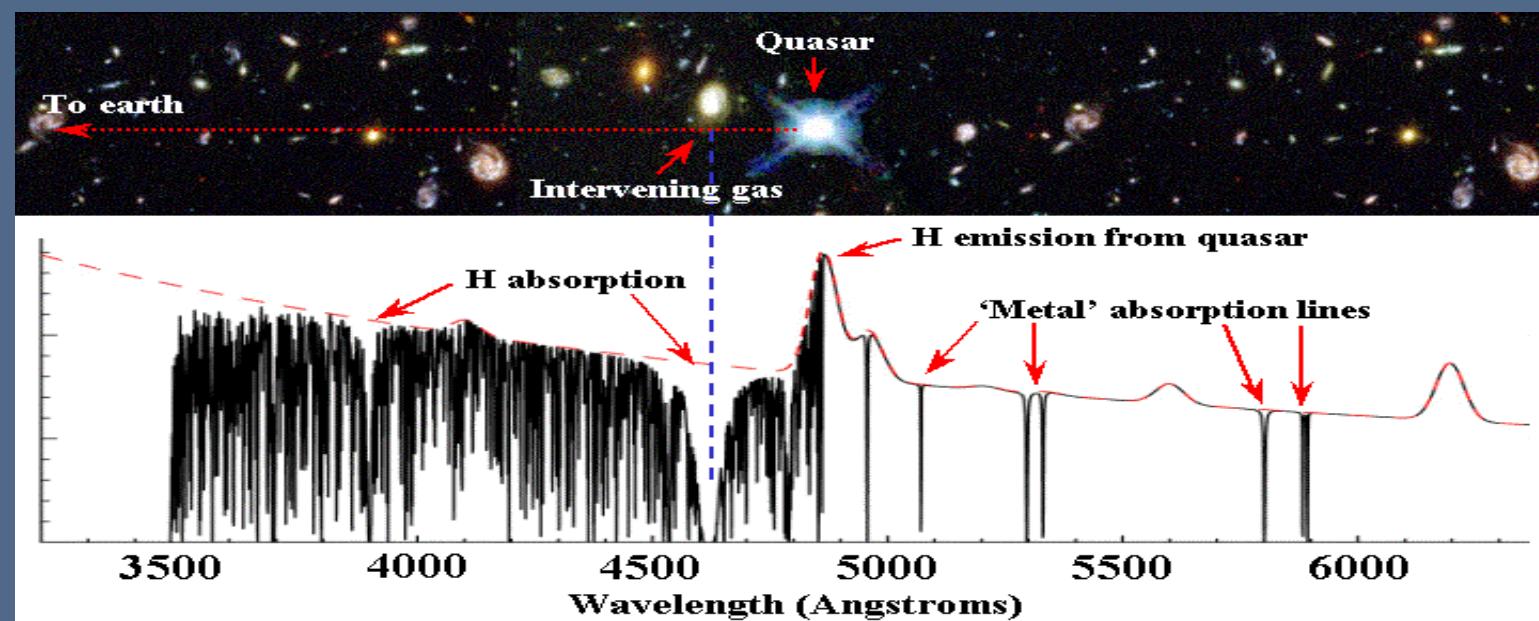
(Received April 5, 1951)

THE most exact value at present¹ for the ratio of proton to electron mass is 1836.12 ± 0.05 . It may be of interest to note that this number coincides with $6\pi^5 = 1836.12$.

¹ Sommer, Thomas, and Hipple, Phys. Rev. 80, 487 (1950).

Constraints from Absorption Lines

- α_{em} : Fine-structure doublet
- $\mu = m_p/m_e$: Molecular Rotational vs. Vibrational modes
- $\alpha_{\text{em}}^2 g_p$: Rotational modes vs. Hyperfine H
- $\alpha_{\text{em}} g_p \mu$: Hyperfine H vs. Fine-structure
- $\alpha_{\text{em}}^2 g_p \mu$: Hyperfine H vs. Optical
- ...



Low-redshift Constraints

- Atomic clocks: sensitivity of few $\times 10^{-17}/\text{yr}$ [Rosenband et al. 2008]
 - Future: molecular & nuclear clocks, $\sim 10^{-21}/\text{yr}$ (?)
- Compact objects used to constrain environmental dependencies; limiting factor usually from nuclear physics uncertainties
 - Population III *'s [Ekstrom et al. 2010], sensitivity $\sim 10^{-5}$
 - Neutron *'s [Pérez-García & Martins 2012], sensitivity $\sim 10^{-4}$
 - Solar type *'s [Vieira et al. 2012], sensitivity $\sim 10^{-4}$ (?)
 - White dwarfs [Berengut et al. 2013], sensitivity $\sim 10^{-4}$ (?)
- Oklo (natural nuclear reactor, $z \sim 0.14$): nominal sensitivity of few $\times 10^{-18}$ [Gould et al. 2006]; but not a “clean” measurement
 - Assumptions somewhat simplistic; effectively constrains α_s
- Clusters of galaxies ($z < 1$): compare SZ and X-ray observations: 0.8% sensitivity [Galli 2013]
 - Promising with larger numbers of clusters



ARTICLE

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OPEN

A search for varying fundamental constants using hertz-level frequency measurements of cold CH molecules

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Many modern theories predict that the fundamental constants depend on time, position or the local density of matter. Here we develop a spectroscopic method for pulsed beams of cold molecules, and use it to measure the frequencies of microwave transitions in CH with accuracy down to 3 Hz. By comparing these frequencies with those measured from sources of CH in the Milky Way, we test the hypothesis that fundamental constants may differ between the high- and low-density environments of the Earth and the interstellar medium. For the fine structure constant we find $\Delta\alpha/\alpha = (0.3 \pm 1.1) \times 10^{-7}$, the strongest limit to date on such a variation of α . For the electron-to-proton mass ratio we find $\Delta\mu/\mu = (-0.7 \pm 2.2) \times 10^{-7}$. We suggest how dedicated astrophysical measurements can improve these constraints further and can also constrain temporal variation of the constants.

[1] S. Truppe, R. J. Hendricks, S. K. Tokunaga, H. J. Lewandowski, M. G. Kozlov, C. Henkel, E. A. Hinds, and M. R. Tarbutt, Nature Communications 4, 2600 (2013), 10.1038/ncomms3600, arXiv:1308.1496 [physics.atom.-ph].

Astrophysical Sources

Measurements inside the Galaxy

- Radio/microwave measurements of these couplings can be performed. While they are typically limited to lower *redshifts* than their optical/UV counterparts, their sensitivity is competitive.
 - The experimental setup utilized allowed for improved laboratory results;
- Comparison between measurements obtained inside our Galaxy (effectively at $z=0$) allow for studies of possible environmental dependences on the variation of fundamental couplings of nature.
 - The transitions used are sensible to both α_{em} and μ
- Each limit was obtained assuming, respectively, that the other didn't vary
 - From the theoretical point of view, this is unnatural;
 - Possible motivation: mathematical simplicity; less tight constraints

Astrophysical Sources

Measurements inside the Galaxy

- Laboratory and astrophysical measurements were obtained for transitions in CH and OH molecules.
 - The fractional variation of α can be obtained by comparing two different transitions in the same system;
- The sensitivity coefficients utilized are relevant for both couplings [Kozlov (2009), Nijs et al. (2012)]
 - We note that the sensitivity of the first is typically double of that of the second.

$$\omega_{ast} = \omega_{lab} \left[1 + K_\alpha \frac{\Delta\alpha}{\alpha} + K_\mu \frac{\Delta\mu}{\mu} \right]$$

$$\frac{\Delta\alpha}{\alpha} = \frac{1}{K_{\alpha_2} - K_{\alpha_1}} \frac{\Delta\nu'_{12}}{c}$$

(analogous expression for μ)

Astrophysical Sources

Measurements inside the Galaxy

Source	$\Delta v'_{12}$ (km s ⁻¹)	$\Delta\alpha/\alpha$ (10 ⁻⁷)	$\Delta\mu/\mu$ (10 ⁻⁷)
G111.7-2.1	-0.08 ± 0.11	$+1.5 \pm 2.0$	$+3.1 \pm 4.1$
G265.1+1.5	$+0.04 \pm 0.16$	-0.9 ± 3.1	-1.9 ± 6.4
G174.3-13.4	-0.02 ± 0.19	$+0.6 \pm 3.6$	$+1.2 \pm 7.4$
G6.0+36.7	-0.12 ± 0.13	$+2.3 \pm 2.4$	$+4.8 \pm 5.0$
G49.5-0.4	-0.48 ± 0.55	-1.8 ± 2.0	-3.6 ± 4.1

Table I. Data from the five interstellar sources used by (and reproduced from) [1]. Both the velocity differences and the fractional variations are given with one sigma uncertainties. Note that our definition of μ differs from that of [1].

Astrophysical Sources

Measurements inside the Galaxy

- We obtained:

$$\left(\frac{\Delta\alpha}{\alpha}\right)_{Truppe} = (0.32 \pm 1.08) \times 10^{-7}$$

$$\left(\frac{\Delta\mu}{\mu}\right)_{Truppe} = (0.68 \pm 2.23) \times 10^{-7}$$

- One generically expects that the two couplings will vary simultaneously with the relative size of the variations being highly model-dependent.

Is it plausible to assume independent variations?

- In a broad class of unification scenarios, recently tested against extragalactic measurements, the two variations are related by [Ferreira et al. (2014)]
 - R and S are true dimensionless fundamental couplings (meaning that they are spacetime-invariant)
 - The former is related to Quantum Chromodynamics and the latter to the Electroweak sector of the underlying theory
- The molecular transitions being used are sensitive to changes of both α_{em} and μ

$$\frac{\Delta\mu}{\mu} = [0.8R - 0.3(1 + S)] \frac{\Delta\alpha}{\alpha}$$

$$\frac{\Delta(\alpha^2\mu)}{(\alpha^2\mu)} = (0.68 \pm 2.23) \times 10^{-7}$$

What we did...

- Allowing for generic simultaneous variations of both couplings we obtained:
- This shows that the bounds previously shown are misleading
 - There's an infinite number of models (i.e. choices of R and S) that can be consistent but nevertheless have α and μ variations larger than those given

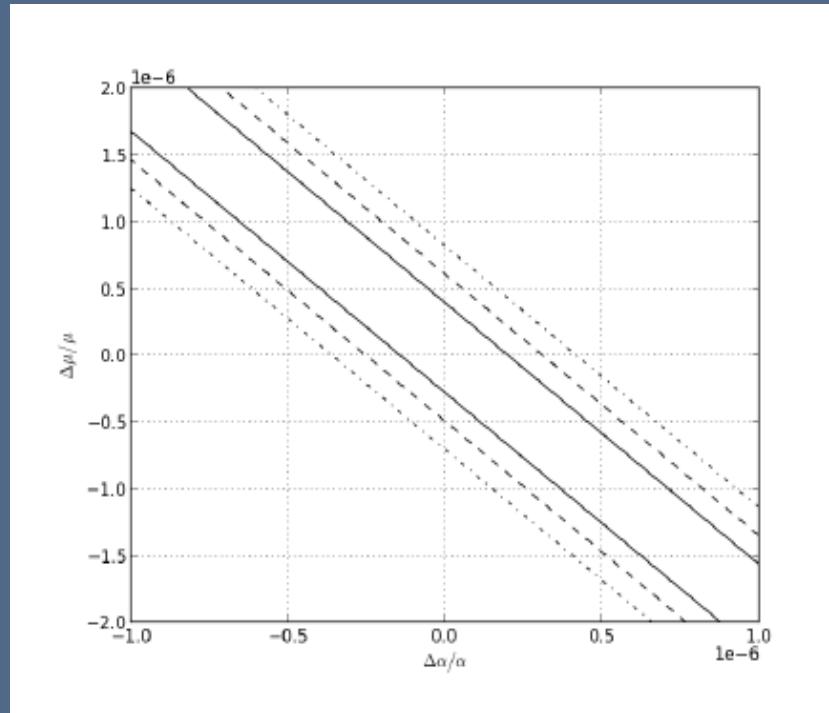


Fig I. Constraints on the α - μ parameter space, obtained from the data of Table I while allowing for generic simultaneous variations of both couplings. One, two and three sigma constraints are respectively indicated by solid, dashed and dash-dotted lines.

How to break the degeneracy?

(preferably in a model-independent way)

- Answer: Use as external *prior* an independent measurement of one of the two couplings.

$$\left(\frac{\Delta\mu}{\mu}\right)_{Levshakov} = (-0.03 \pm 0.06) \times 10^{-7}$$

Measured in the Galactic plane

$$\frac{\Delta\alpha}{\alpha} = (0.36 \pm 1.12) \times 10^{-7}$$

[2] S. A. Levshakov, D. Reimers, C. Henkel, B. Winkel, A. Mignano, M. Centurión, and P. Molaro, *A&A* 559, A91 (2013), arXiv:1310.1850 [astro-ph.GA].

Results

- Although nominally this is consistent with the previous result (and indeed very close to it, since the prior on μ has a very small statistical uncertainty compared to that of $\alpha^2\mu$), we emphasize that physically it is a much more robust bound
- Alternatively one may focus on particular models, which will provide specific values of the unification parameters
 - Unification scenarios $R \sim 36$ e $S \sim 160$
 - Dilaton- type model $R \sim 109,4$ e $S \sim 0$
 - Laboratory comparisons among atomic clocks with different sensitivities to these couplings (and also to the proton gyromagnetic factor) allow us to obtain in the R-S plane: $(1 + S) - 2.7R = -5 \pm 15$

Summarizing...

Assumption	References	$\Delta\alpha/\alpha (10^{-7})$	$\Delta\mu/\mu (10^{-7})$
Other fixed	[1] only	$+0.32 \pm 1.08$	$+0.68 \pm 2.23$
Unification scenario	[1] + [16]	-0.04 ± 0.13	$+0.76 \pm 2.48$
Dilaton-type model	[1] + [17]	$+0.01 \pm 0.03$	$+0.66 \pm 2.18$
Atomic clocks	[1] + [18]	$+1.36 \pm 4.46$	-2.04 ± 6.69
Direct μ measurement	[1] + [2]	$+0.36 \pm 1.12$	-0.03 ± 0.06

- We highlight the fact that derived constraints are highly model-dependent. Moreover, it's clear that assuming that the other coupling is fixed can lead to erroneously tight constraints.
- A more robust procedure is therefore to combine different datasets or to use external observational *priors*.
- A possible *caveat* here is that in models where the couplings depend on the environment; combining measurements requires assumptions on the underlying model
 - Instead, one should translate them into bounds on the R-S parameter space, which is expected to be spacetime invariant

...and concluding...

- By considering some representative unification scenarios we find no evidence for variations of α at the 0.4 ppm, and of μ at 0.6 ppm; if one uses μ as *prior*, the α bound is improved to 0.1 ppm.
- Observational data for the expansion of the universe shows that canonical theories in cosmology and particle physics are incomplete, if not incorrect.
- Nothing is varying at $\sim 10^{-5}$, a limit already quite significant (stronger than that of Cassini)
 - At 10^{-6} things are less clear.
 - An improvement of 2-3 orders of magnitude is coming...
 - ...soon (be patient ☺)
- Instruments dedicated for this studies are being built, allowing for a new generation of precise consistency tests.
 - A new generation of ultra-stable high-resolution spectrographs: EXPRESSO, ELT-HIRES.



Thank you for your attention!

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Questions??