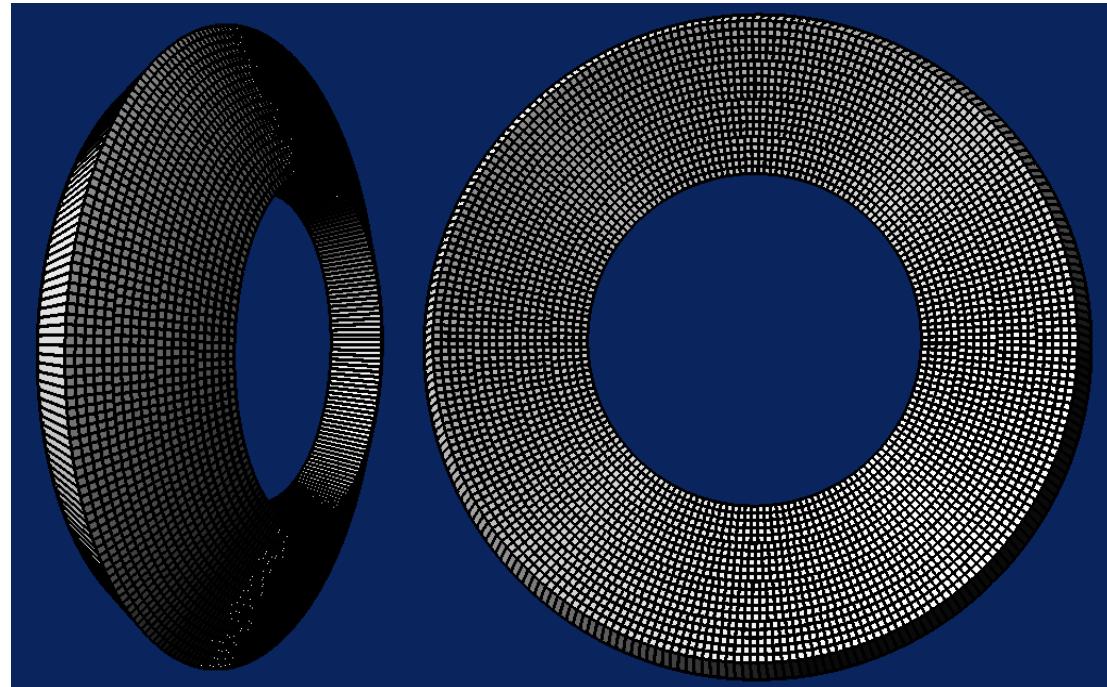


Fwd ECAL Parameterisation (for e/γ)



C. Cecchi - S. Germani
INFN Perugia

13/11/08

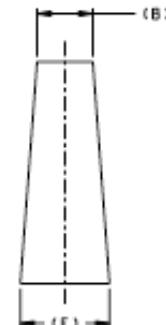
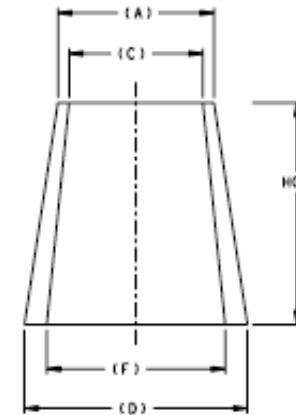
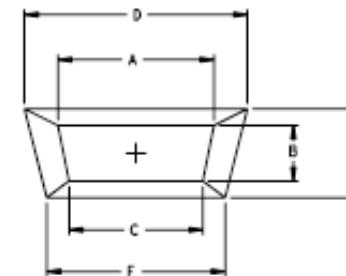
Crystals Dimensions

LSO crystals

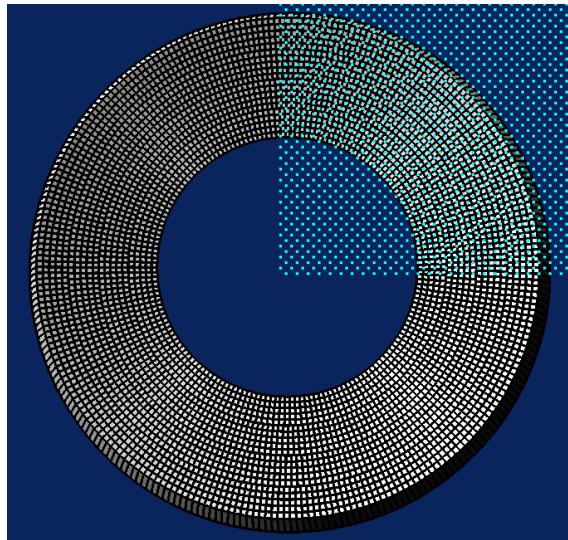
- depth: 20 cm $\sim 17.5 X_0$
- Crystals arranged in 20 rings within 5x5 modules

Ring	A	B	C	D	E	F
175 Xtals/Ring 35 Modules						
1	19.48	23.12	18.72	21.37	25.65	20.52
2	20.26	23.12	19.50	22.23	25.65	21.38
3	21.04	23.12	20.28	23.09	25.65	22.25
4	21.82	23.12	21.05	23.96	25.65	23.11
5	22.60	23.12	21.83	24.82	25.65	23.97
205 Xtals/Ring 41 Modules						
6	19.92	23.12	19.27	21.95	25.65	21.22
7	20.59	23.12	19.94	22.68	25.65	21.96
8	21.25	23.12	20.60	23.42	25.65	22.70
9	21.92	23.12	21.27	24.16	25.65	23.43
10	22.58	23.12	21.93	24.89	25.65	24.17
11	20.25	23.12	19.68	22.38	25.65	21.75
12	20.83	23.12	20.26	23.02	25.65	22.39
13	21.41	23.12	20.84	23.66	25.65	23.03
14	21.99	23.12	21.42	24.31	25.65	23.67
15	22.57	23.12	22.00	24.95	25.65	24.32
16	20.51	23.12	20.00	22.71	25.65	22.15
17	21.02	23.12	20.52	23.28	25.65	22.72
18	21.54	23.12	21.03	23.85	25.65	23.29
19	22.05	23.12	21.55	24.42	25.65	23.86
20	22.57	23.12	22.06	24.99	25.65	24.43

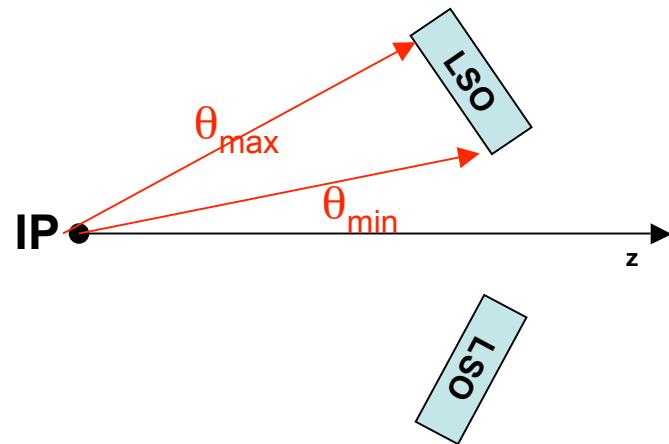
4400 Crystals



Generated beams



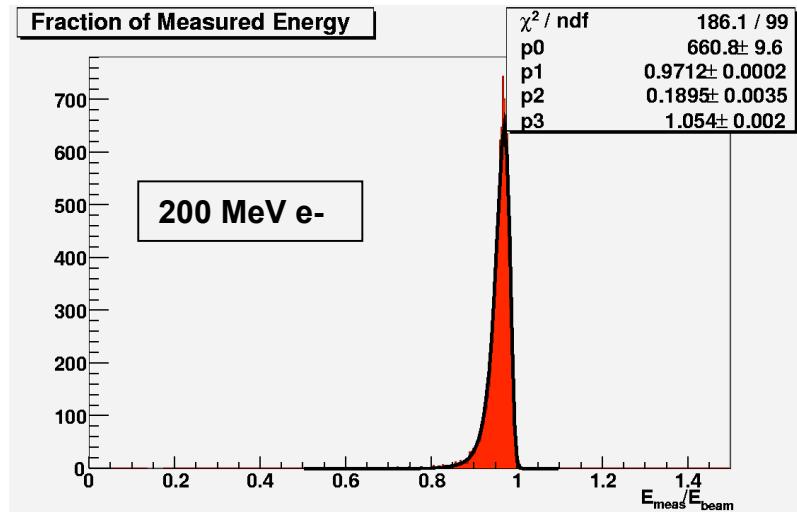
- Particles:
 - $e^- \gamma$
- Energies:
 - 50, 100, 200, 350, 500, 750, 1000, 2000, 5000, 7000 MeV
- Surface:
 - Particles uniformly distributed in one quadrant between $\theta_{\min} - \theta_{\max}$
- Primary vertex position:
 - Interaction point ($x=y=z=0$)



Energy Reconstruction

Algorithm:

1. Get Xtal deposited energy
2. Perform Poisson smearing with $8k \text{ pe}/\text{MeV}$
 - Value obtained by measurements in PG and Caltech
3. Assign 1% calibration error to crystals
 - Reconstruct with $8k \pm 1\% \text{ pe}/\text{MeV}$
4. Apply minimum energy cut for each xtal
 - 1 MeV to be tuned
5. Sum Xtal energy



Comments:

- All distributions have asymmetric low energy tails
 - Backsplash for low E particles
 - Forward leakage for high E particles
- Energy distributions fit with asymmetric Gauss function: $\sigma = \sigma(E)$
- Proposed parameterisation uses fit of p1,p2,p3 vs Energy

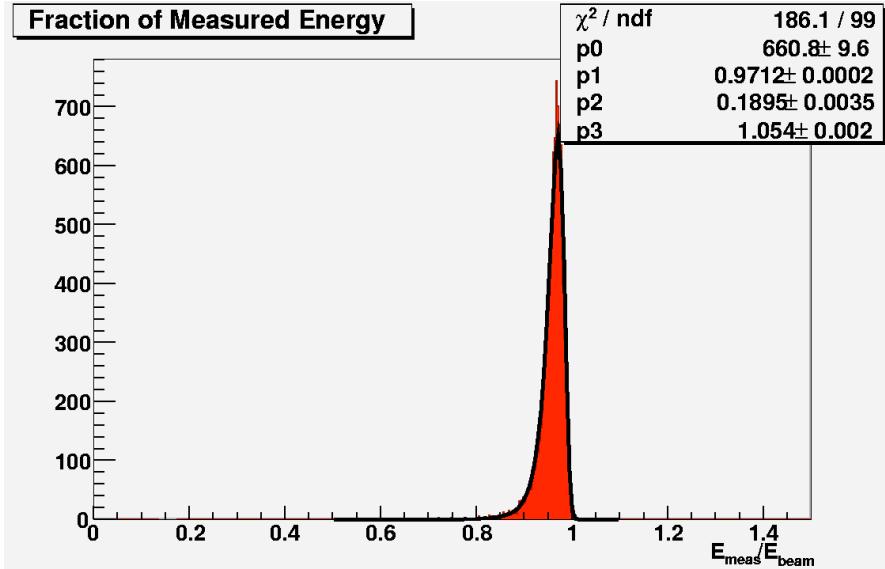


$$F(x) = P_0 e^{-\frac{(x-P_1)^2}{2[P_2(P_3-x)]^2}}$$

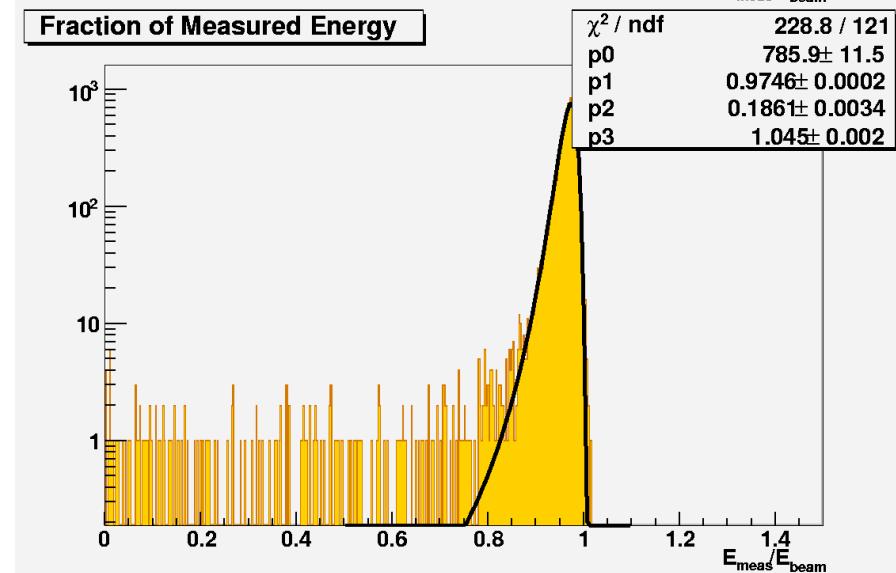
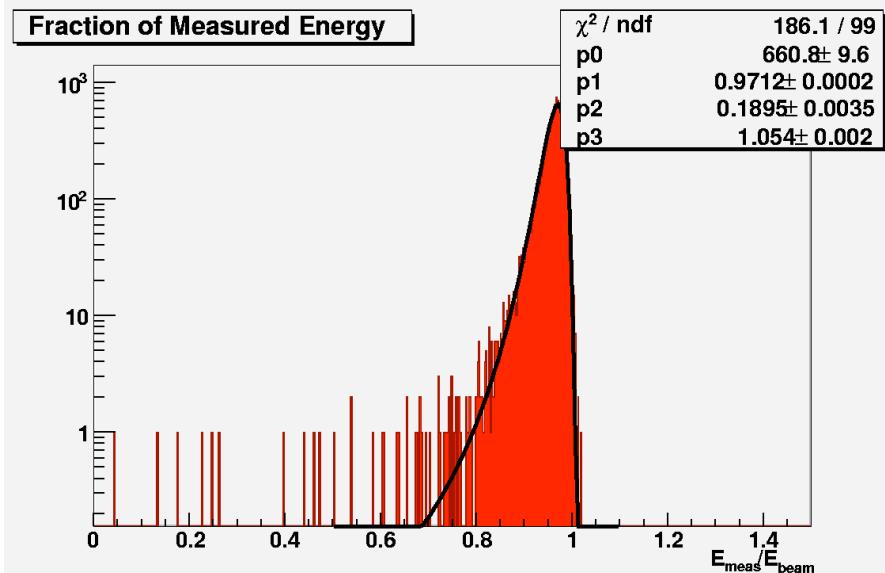
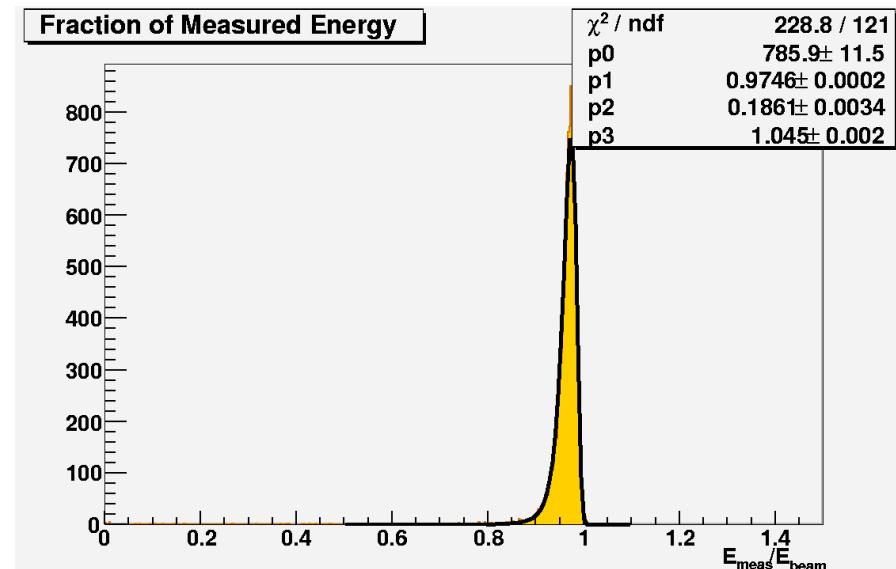
- P1 : most probable value (mpv)
- P2(P3-x) : running σ

Energy distribution examples

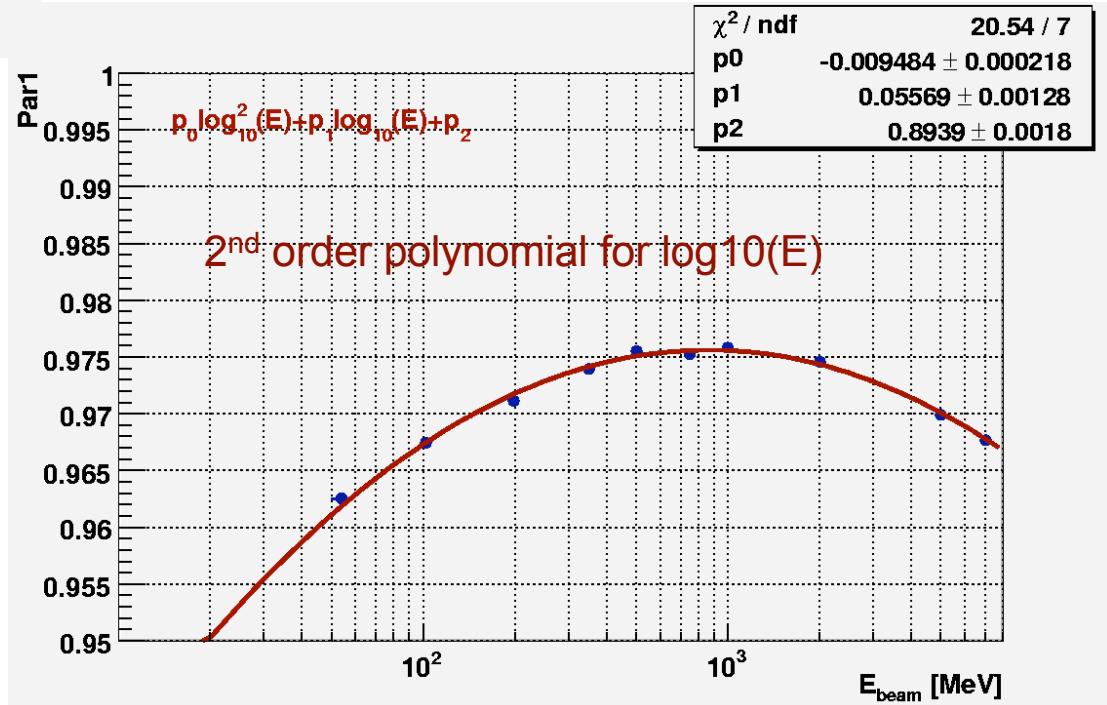
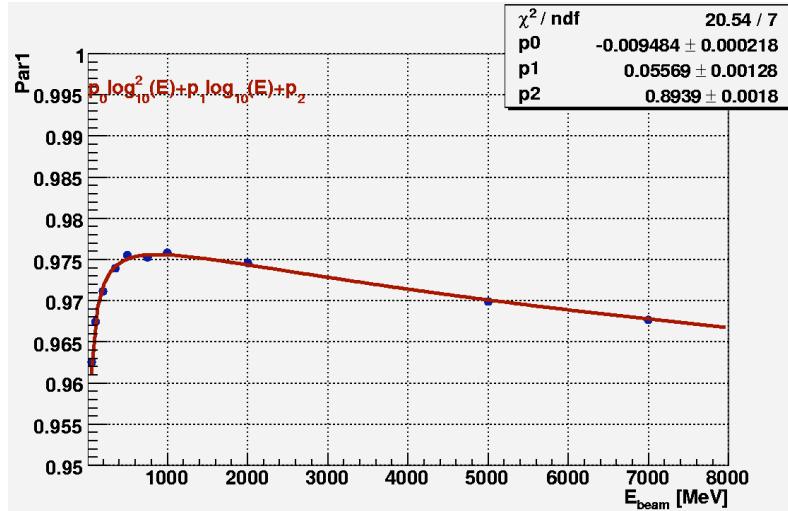
200 MeV e-



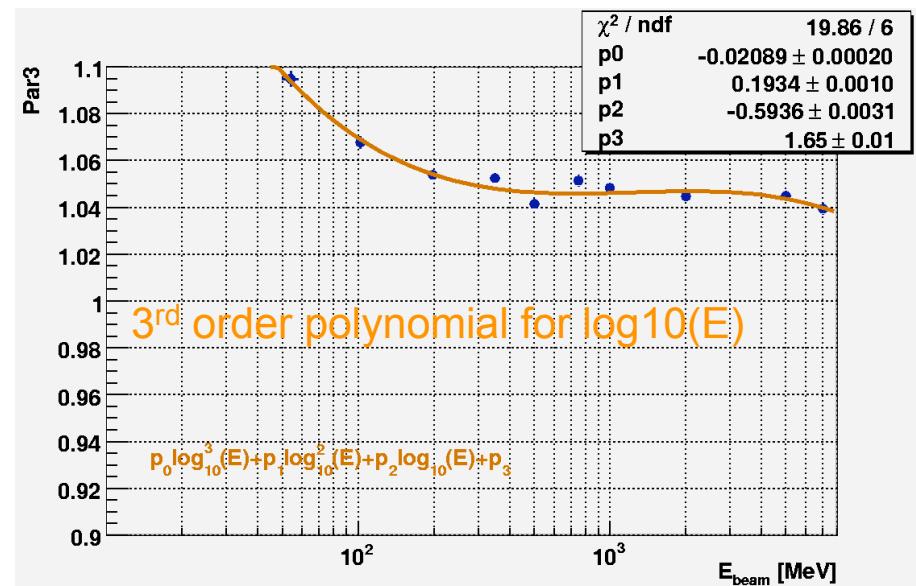
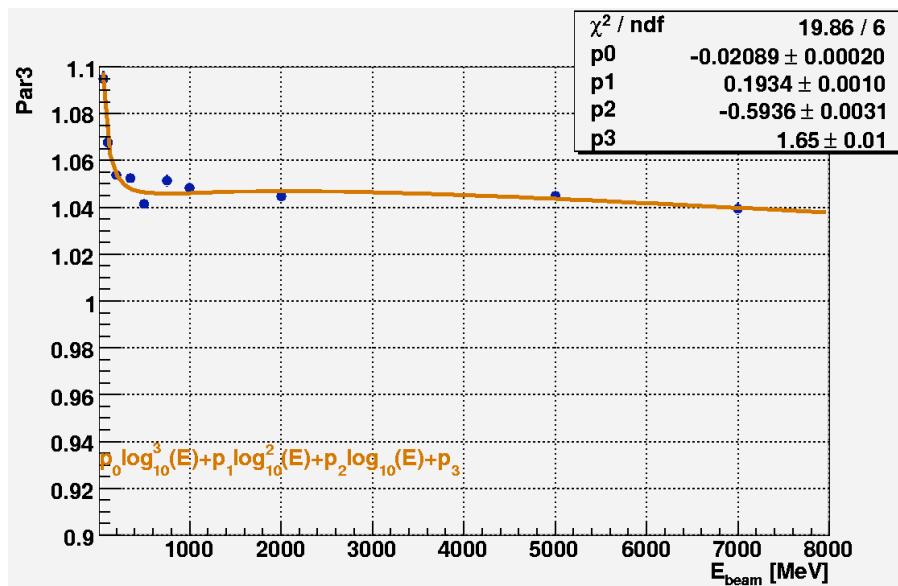
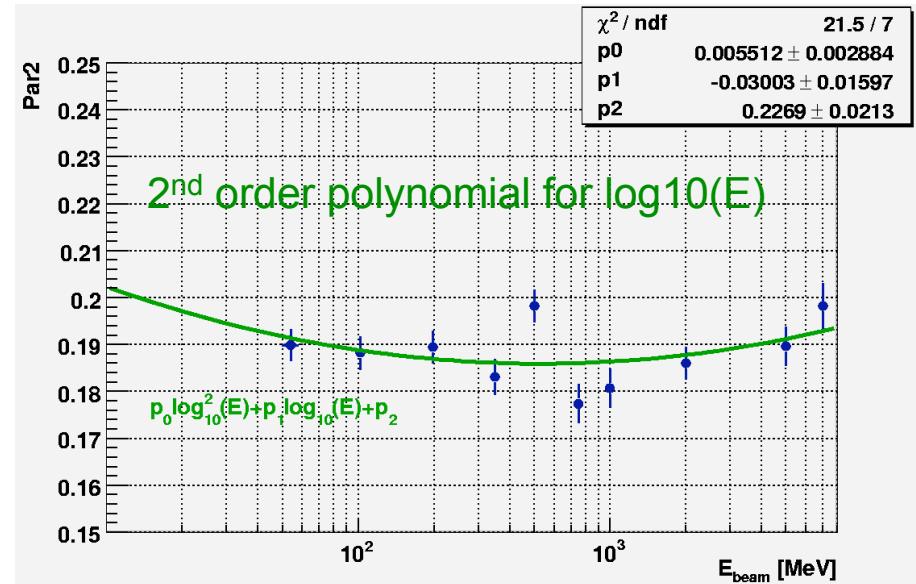
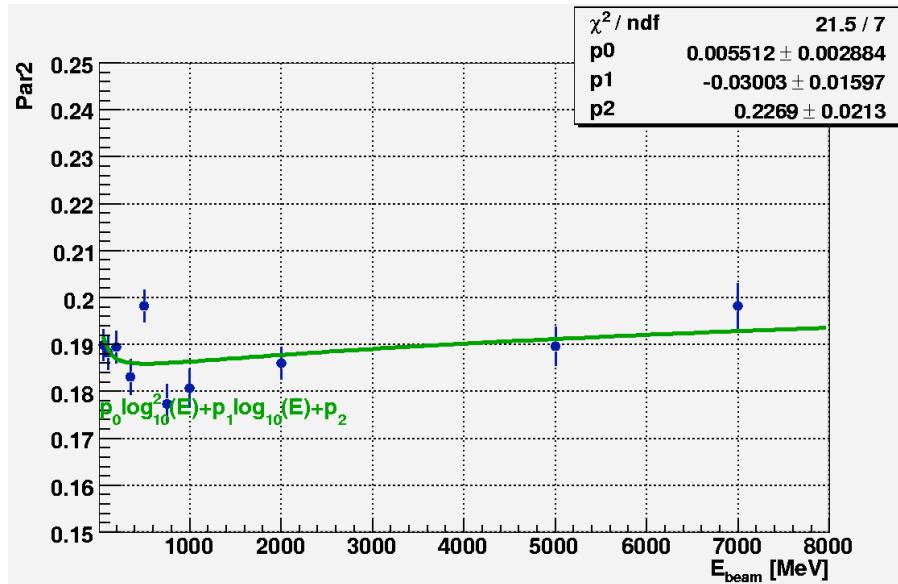
2 GeV e-



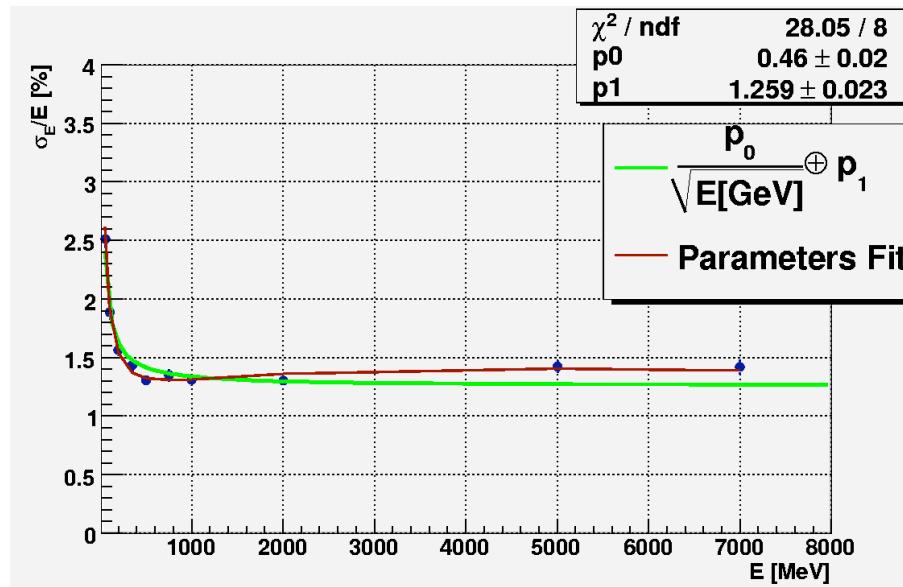
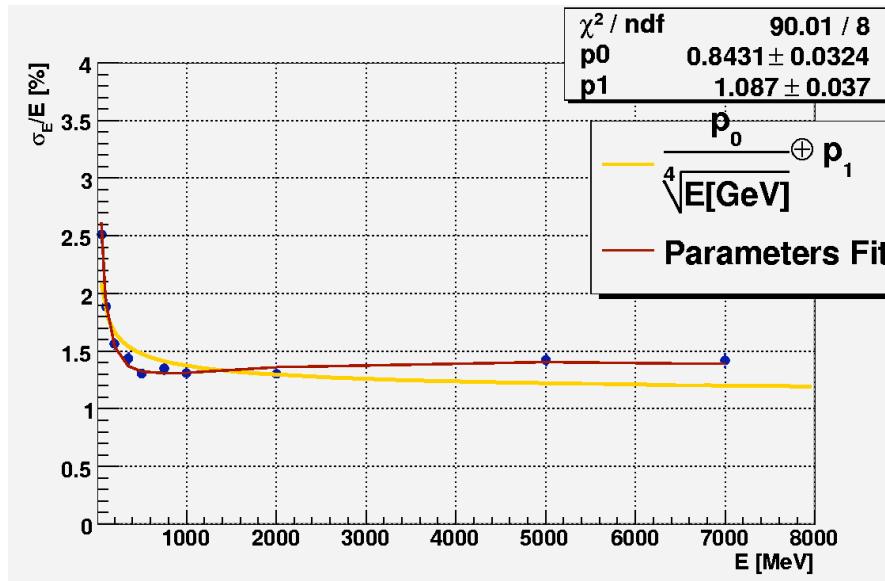
Emeas Fit par1(mpv) vs Energy: e-



Emeas Fit par2 and par3 vs Energy: e-



Energy Resolution vs Energy: e-

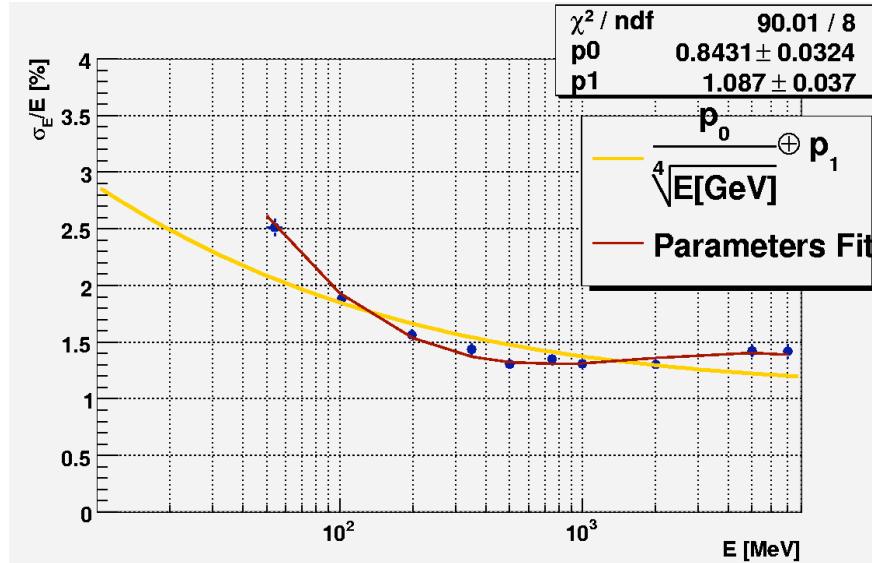


- To show the energy resolution use the running sigma value at the peak : $\sigma(\text{mpv})$
 - Slightly underestimates the real distribution width
- Compare measured points with results from parameters fit
- Fit measured points with

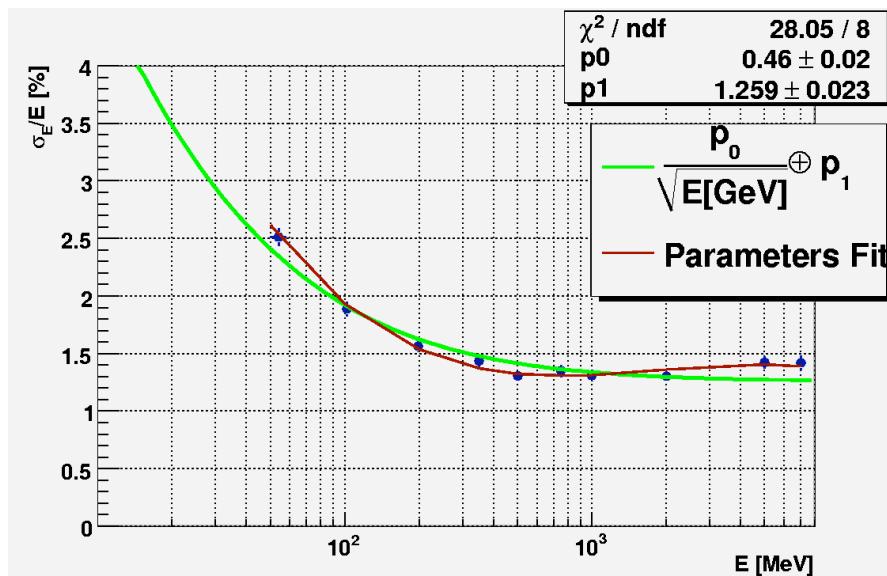
$$\frac{\sigma(E)}{E} = \frac{p_0}{\sqrt[4]{E[\text{GeV}]}} \oplus p_1$$

$$\frac{\sigma(E)}{E} = \frac{p_0}{\sqrt{E[\text{GeV}]}} \oplus p_1$$

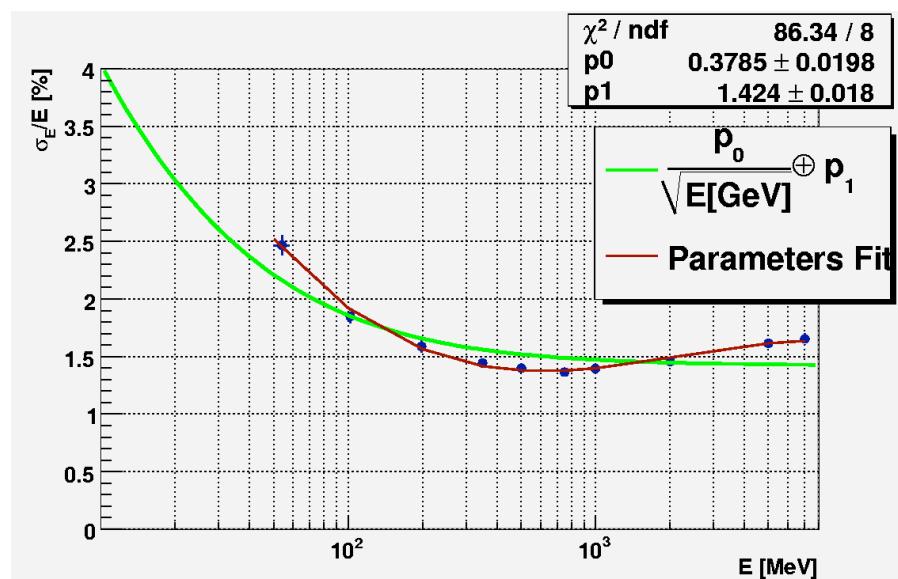
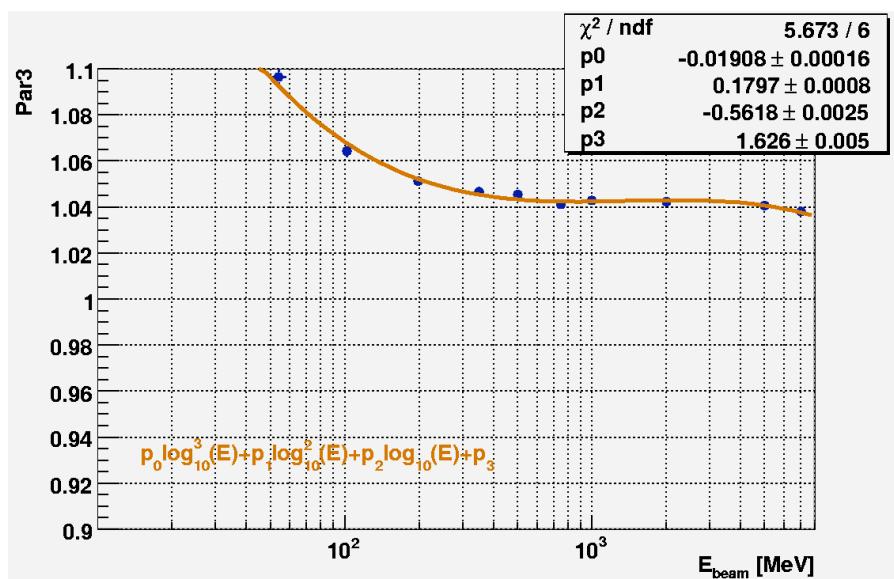
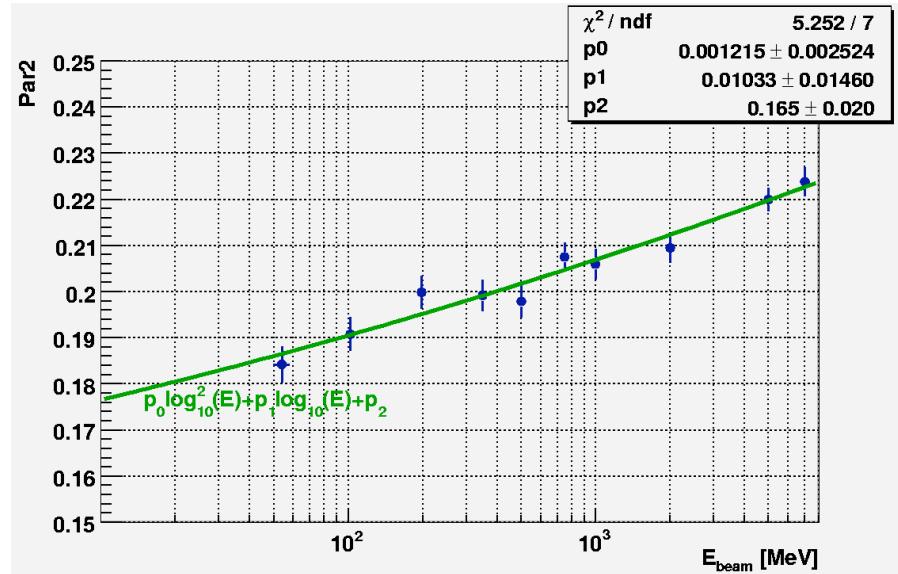
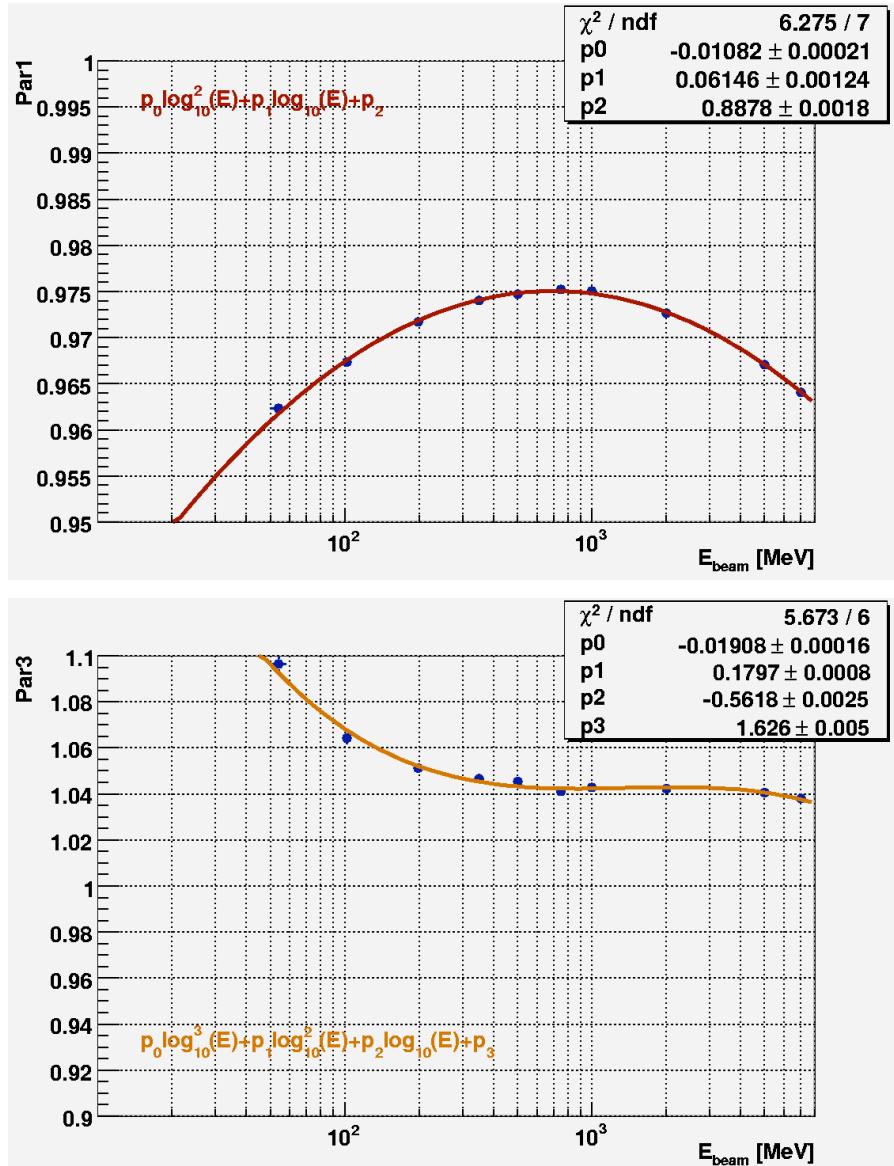
Energy Resolution vs Energy (log scale): e-



- The best representation is given by the single parameters fit (par0,par1, par2 for measured energy distribution)
- The fit with \sqrt{E} seems to give a better agreement



Fits for γ s



e- γ comparison

