

# Next generation space experiments for TeV-PeV energies

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WhatNext – CR  
Padova 2-4 Dec 2014



# What's This?

- (partial) summary of a mini-workshop (2 days, 10 people invited , +local participants) in Pisa, 8-9 May 2014;
- organized BEFORE the WhatNext era;
- experimentalists (AMS, Fermi) and theorists for a joint discussion on
  - *"Physics Cases and Technical Solutions for a Next Generation Space Experiment after AMS and Fermi"*

# Current issues in CR propagation

- Several important observables in the field of CR are well described by simple models of propagation and acceleration
- Yet there are some tensions with experimental data:
  - **p/He ratio**: He spectrum seems to be harder than protons, at least for energies  $< 10\text{TeV}$  : *hardly explainable in terms of Fermi acceleration*
  - **CR spectrum hardening**: p and He spectra seem to harden at  $\sim 250\text{ GeV}$  , which requires a spectral break at these energies
  - **anisotropy**: models with index  $\delta > 0.5$  predict an anisotropy larger than what observed in the 1-100 TeV range
  - **$\gamma$ -ray gradient**: the measured diffuse  $\gamma$ -ray emission galactocentric gradient is flatter than predictions

# The role of Space Detectors

- Necessity of a new generation of experiments in the TeV-PeV range
- This energy range can (and should) be covered by ground-based telescopes
- But space-based experiments can detect the *primary* CR component (i.e. before interacting with atmosphere) → sensitive to nuclear composition
- An additional bonus of space experiments is the possibility of measuring the charge sign → access to anti-particles
- Limits: dimensions, mass, cost !

# Recent, present and future Space (and Balloon) Detectors

Experiment	Geometrical Acceptance (m <sup>2</sup> sr)			$\sigma E/E$	
	e	$\gamma$	p	e, $\gamma$	p
ATIC	0.24	0.24	0.24	2% @ ?	-
CREAM	-	-	0.43	-	45% @ 100 TeV
AMS02	0.05	0.05	0.02-0.25(*)	2% @ 200GeV	-
Fermi	2	2	-	5-15 %	-
Pamela	0.0022	0.0022	-	5-10 %	-
CALET	0.12	0.12	-	2% @ 1TeV	40% @ 1TeV
DAMPE	0.2	0.2	-	1.5% @ 800 GeV	40% @ 800 GeV
ISS CREAM	-	-	0.43	-	45% @ 100 TeV
Gamma400	3	1	3	2% @ 1 TeV	35% @ 1 TeV
HERD	3	?	3	1% @ 1TeV	30% @ 10 TeV
AMS03 (**)	0.75	0.75	?	2% @ 1 TeV	?

balloon

space

near future

medium term

(\*) full span - inner only (\*\*) to be intended as "*generic magnetic spectrometer*"

- Note that a fair comparison among so many different instruments is close to impossible
  - take these numbers *cum grano salis*

# Space Detectors

- Energy range:  $E > 10 \text{ GeV}$ 
  - not trying to do  $E = 100 \text{ MeV}$  at the same time!
- Space experiments can be classified as
  1. Magnetic spectrometers ( *à la* AMS02 )
  2. Pair-conversion telescopes ( *à la* Fermi )
  3. Cosmic Ray calorimeters ( *à la* CREAM or ATIC, but also ISS-CREAM, CALET, DAMPE, ... ), that can be specialized on hadrons or on em-showers
    - with possible combinations of the techniques

# Space Detectors

- Spectrometers : momentum and charge sign
  - **access to anti-particles (positrons, antiprotons, ...)**
  - access to CR isotopical composition (in principle)
  - BUT... magnet is heavy (permanent) or hard to operate (superconducting) → some R&D in progress
- Pair-conversion telescope : gamma physics
  - **dedicated tracking stage ( $>1X_0$ ) in which  $\gamma \rightarrow e^+e^-$**
  - excellent Point Spread Function (PSF = angular resolution)
  - BUT ... adds some complexity: impact on Field Of View and Energy resolution
- Calorimeters :  $e^\pm$ , p, nuclei (Z measurement)
  - **maximum acceptance**
  - reach of high energies ( $\sim$  PeV) for hadrons
  - precise (large statistics) measurement of  $e^+e^-$  flux

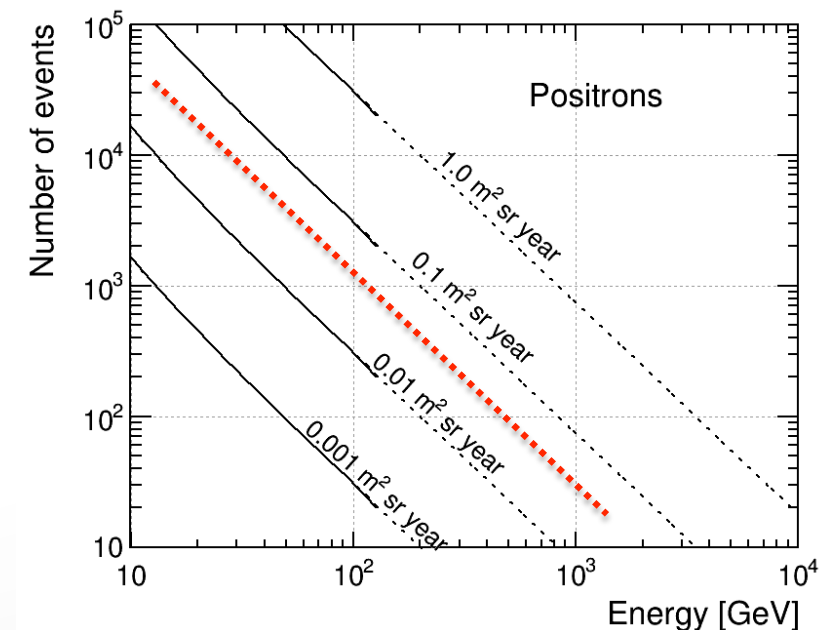
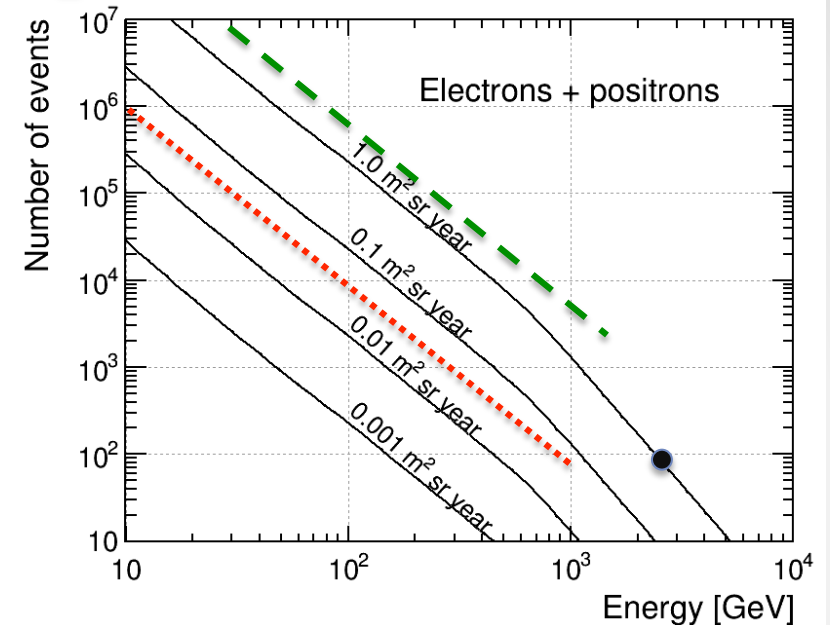
# Statistics vs Acceptance

Geometrical Acceptance:

**Fermi**     **---**

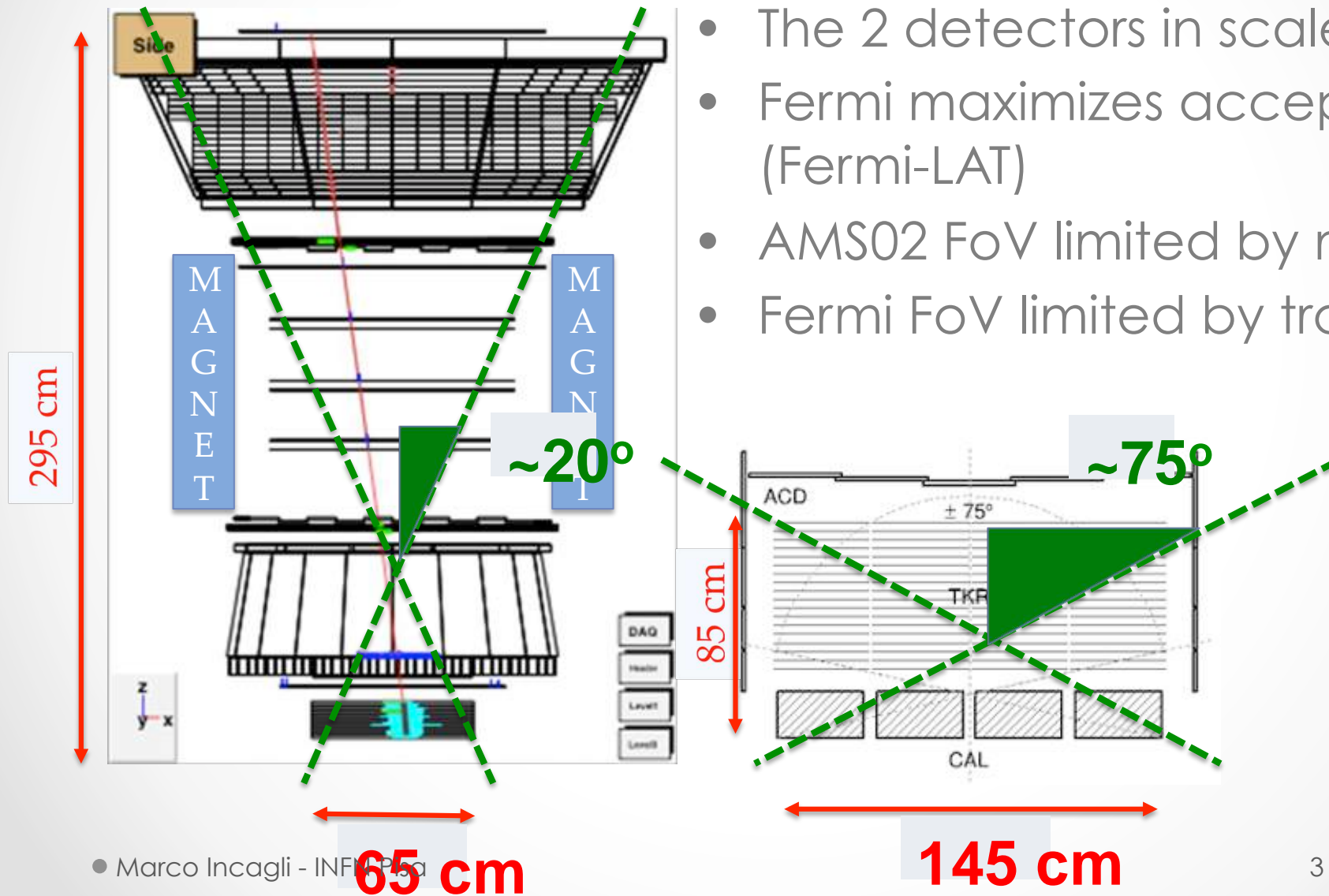
**AMS02**    **⋯⋯⋯**

- The CR flux rapidly decreases with energy ( $\sim E^{-3}$ )
- For an Acceptance of  **$1\text{m}^2\text{ sr year}$**   $\rightarrow$  at most  **$100\text{ e}^+\text{e}^-$  events** per year are expected at  **$E\sim 2\text{-}3\text{ TeV}$**
- A magnetic spectrometer is limited by the Field Of View (see next slide)





# Comparison AMS02-Fermi



- The 2 detectors in scale
- Fermi maximizes acceptance (Fermi-LAT)
- AMS02 FoV limited by magnet
- Fermi FoV limited by tracker

# Next generation experiments

- Under some "reasonable" assumptions (no time to detail them here) possible figures for a next generation experiment are:

	$\Delta E/E$ em (asymptotic)	$\Delta E/E$ had (asymptotic)	Charge Discrimination	PSF (degrees)	acceptance ( $m^2 sr$ )
Magnetic Detector	2%	40%	up to 5.6 TeV ( $e^+$ ) up to 1.5 TeV ( $\bar{p}$ )	0.5	0.71
$\gamma$ telescope	2%	40%	-	0.05	2.5
Calorimeter	1%	20%	-	0.5	6

- Question: how much you can give up in statistics in order to gain in anti-particle identification (Magnet) or  $\gamma$  pointing capability ( $\gamma$ -converter)?

# Example:

## Sensitivity to Gamma line

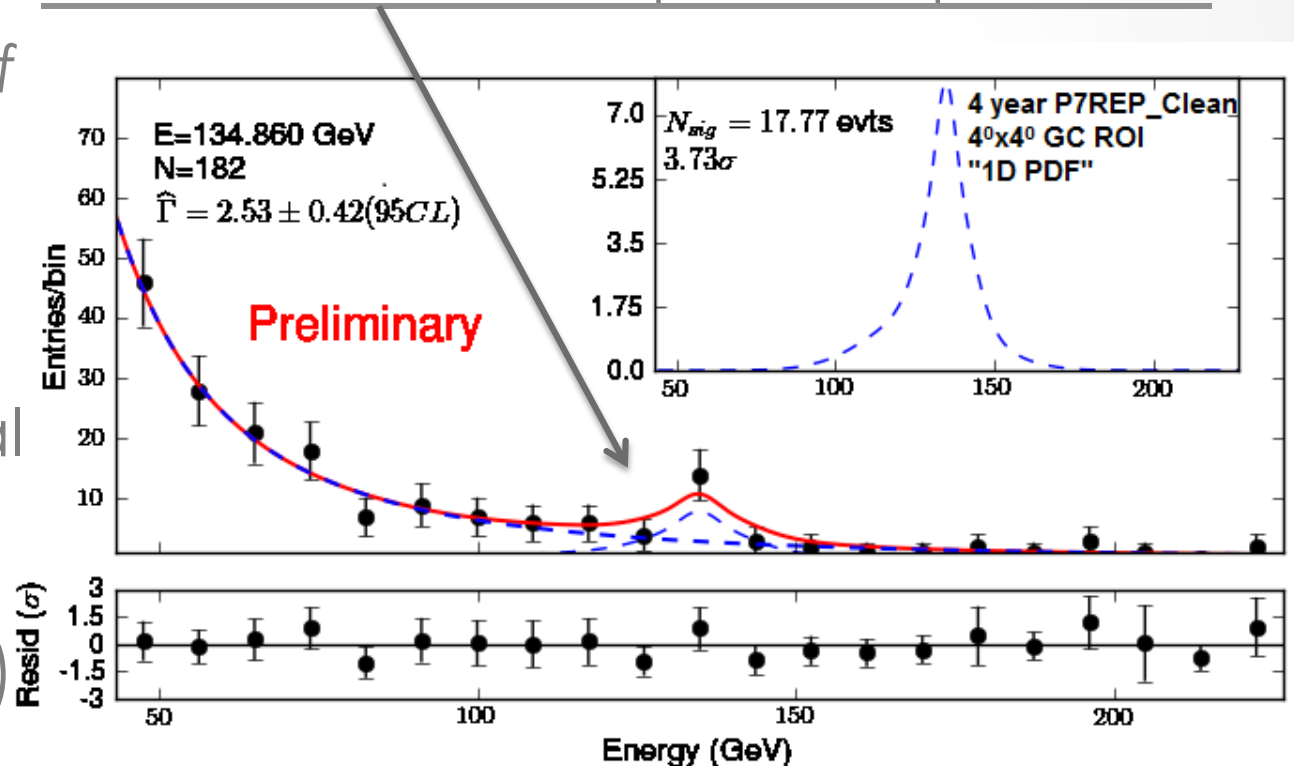
- Annihilation of a Dark Matter particle in a photon pair results in a distinct "line" in the photon spectrum

- The "Quality of the line" is:

$$Q = \frac{n_s}{\sqrt{n_b}}$$

- $n_b$  proportional to the Energy Resolution  $\Delta E$  ( $\Delta E >$  bin width)

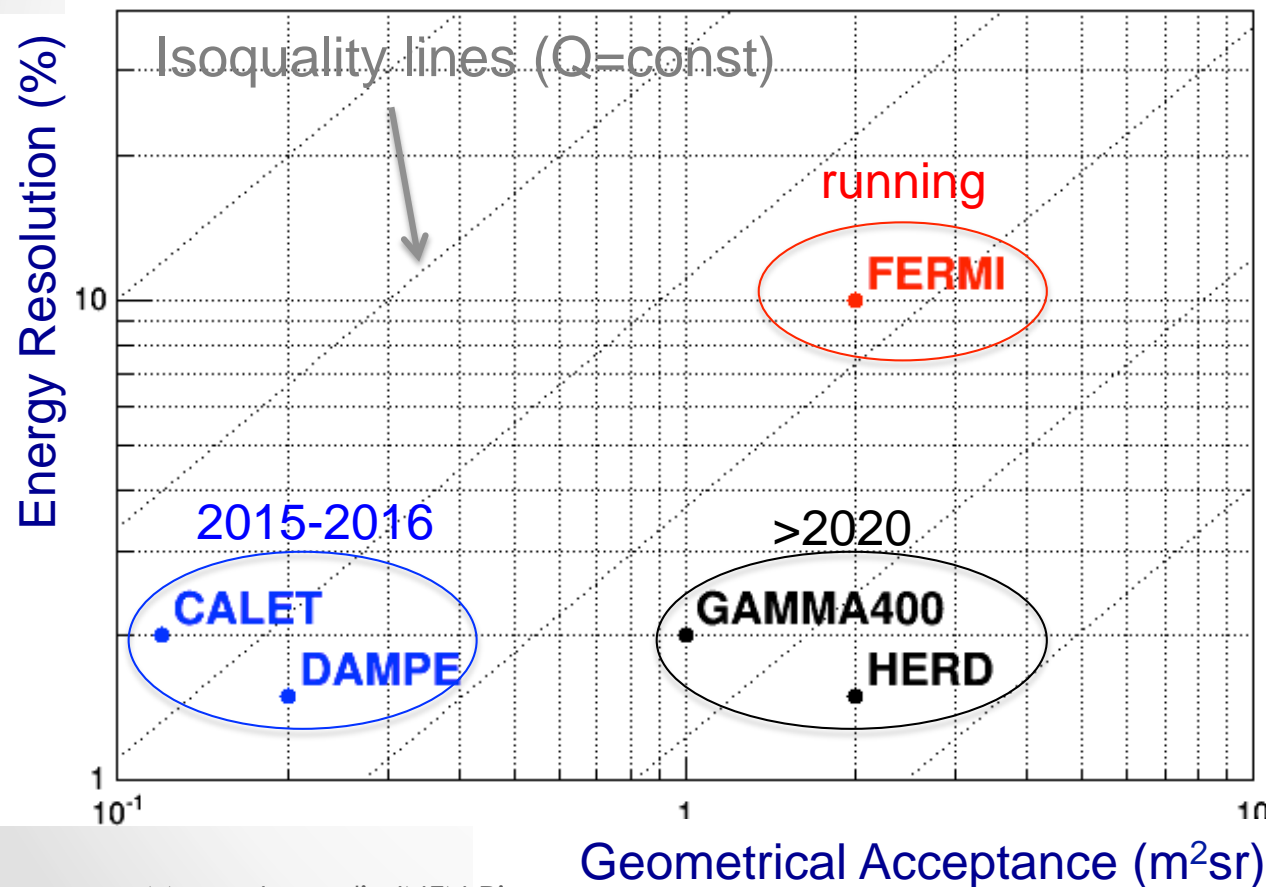
- Both  $n_s$  and  $n_b$  are proportional to the Geometrical Acceptance  $A$



# Sensitivity to Gamma line

$$Q = \frac{n_s}{\sqrt{n_b}} \propto \sqrt{\frac{A}{\Delta E/E}}$$

← Acceptance  
← Energy Resolution



The message:  
**energy resolution is good ... if you are not trading too much acceptance for it!**

NOTE: the parameters used for future detectors should only be taken as *order of magnitude!*

# And what about the systematics

- Three main *general* sources (I will not discuss terms like Z identification, trigger, ... as they are too much experiment-related):

1. Systematic error on the **geometrical acceptance**

$$\frac{\Delta J}{J} = -\frac{\Delta G}{G} \quad G = \text{Geometrical Acceptance}$$

2. Systematic error on **energy resolution**

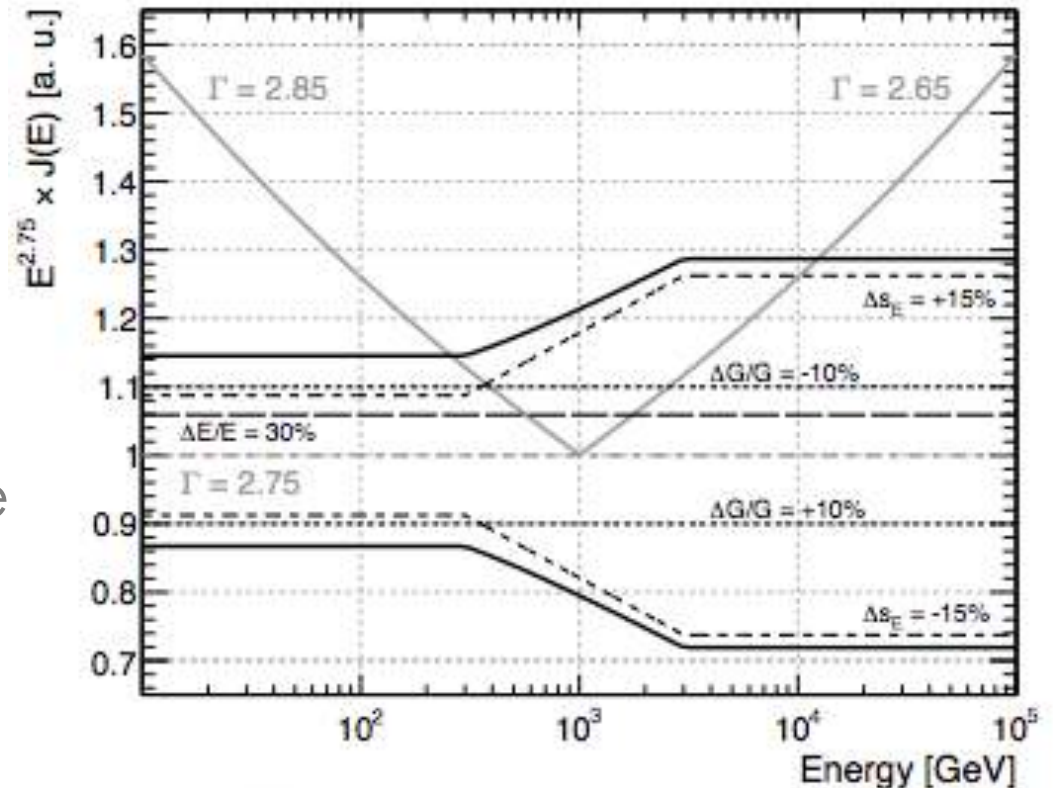
$$\frac{\Delta J}{J} \sim \left(\frac{\Delta E}{E}\right)^2 \quad \Delta E/E = \text{Energy Resolution}$$

3. Systematic error on absolute **energy scale**

$$\frac{\Delta J}{J} = (\Gamma - 1) \frac{\Delta s_E}{s_E} \quad \Delta s_E = \text{shift on absolute Energy Scale}$$

# Putting all together

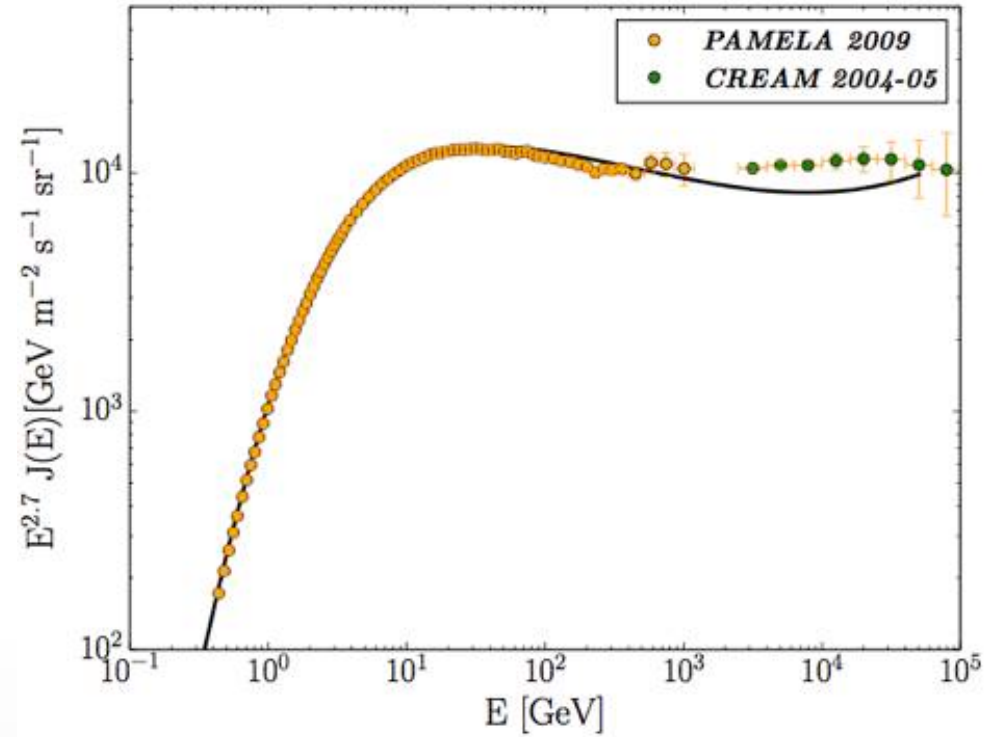
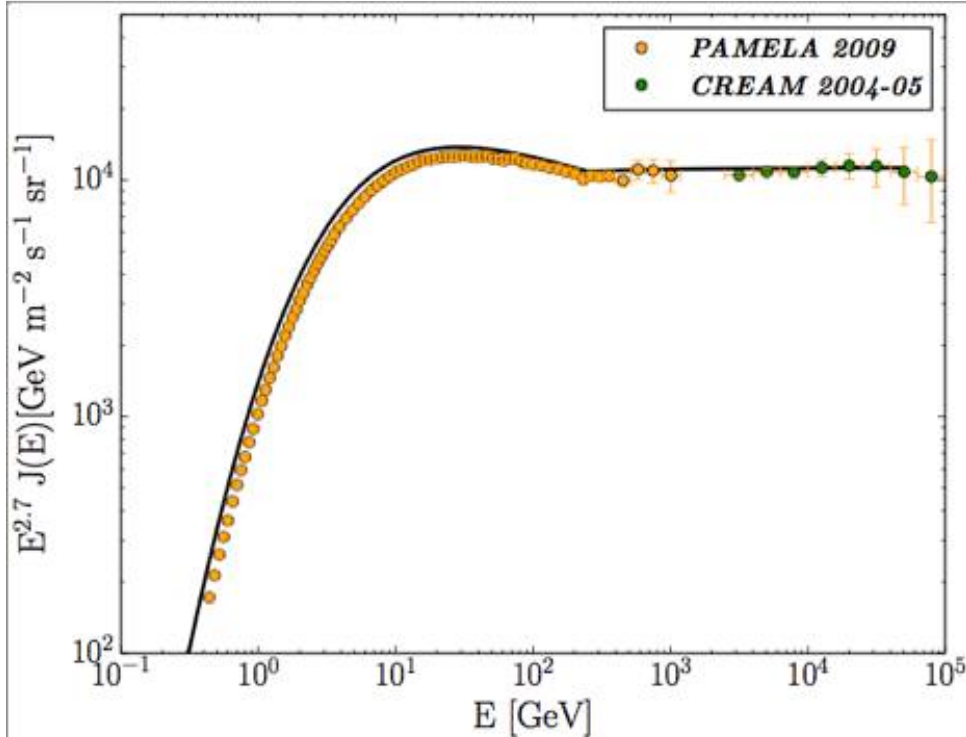
- Assumptions:
  - $\Delta G/G = 10\%$
  - $\Delta E/E = 30\%$
  - $\Delta s_E = 5\% \rightarrow 15\%$
- Spectral deformations are bracketed by the solid line
- Grey lines represent a power spectrum with a break ( $\Delta\Gamma \sim 0.2$ ) at 1 TeV
- The break is visible, provided the measurement extends up to  $>20\text{TeV}$  (in this case the grey line "sticks out" of the systematic limit)



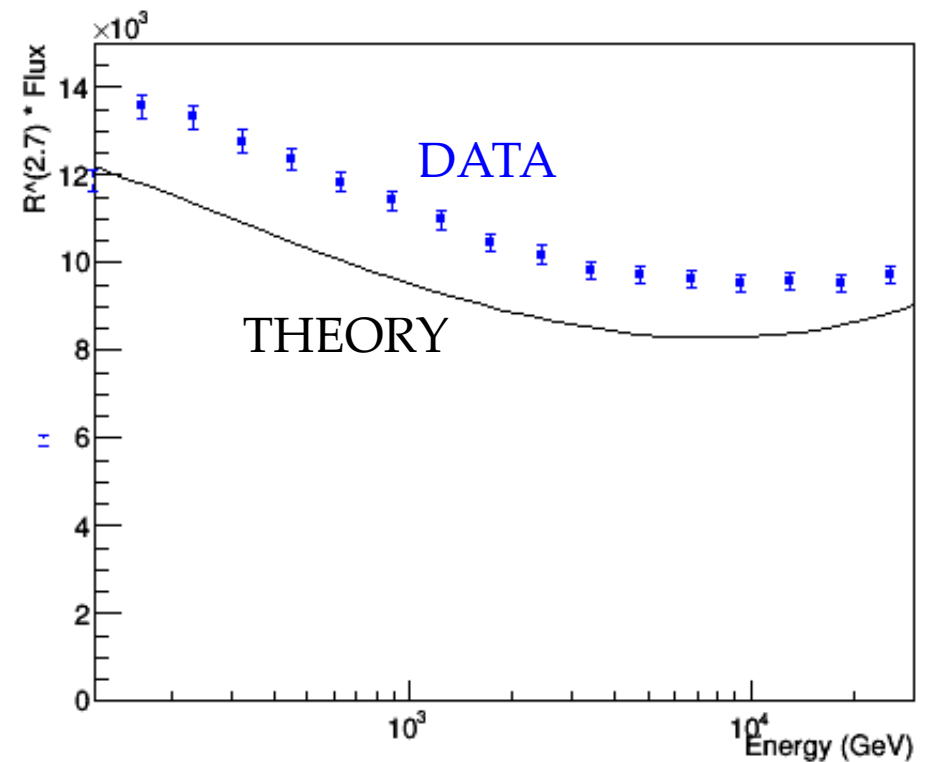
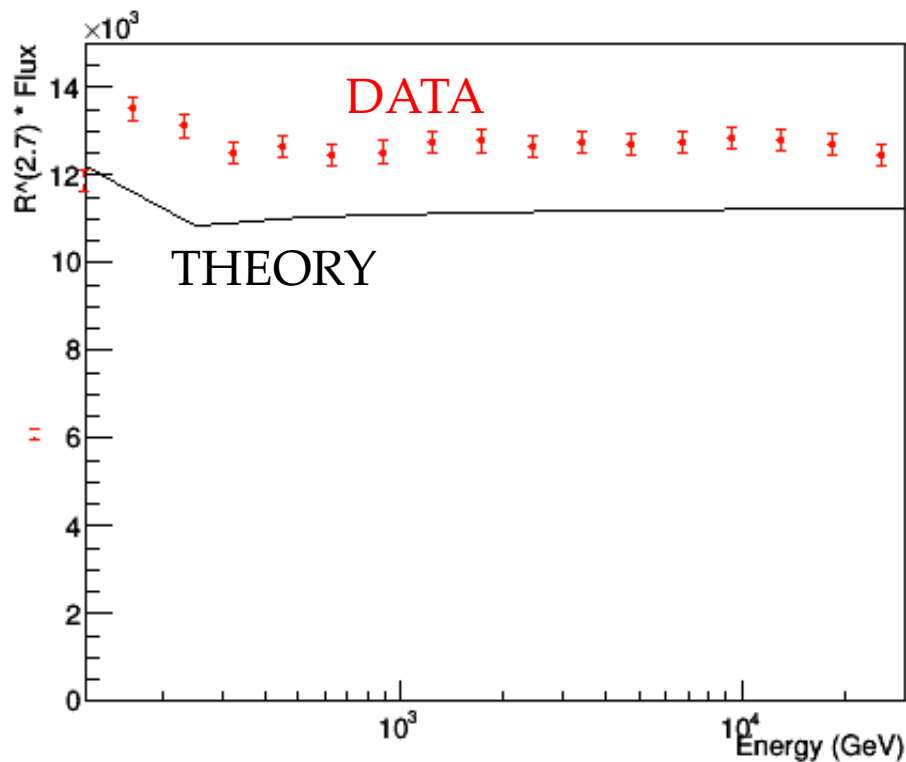
# Example:

## break in proton spectrum

- Two possible models which "describe" the data
- How well are the spectral features visible if one assumes an energy resolution  $\Delta E/E=40\%$  (but a correct energy scale)?



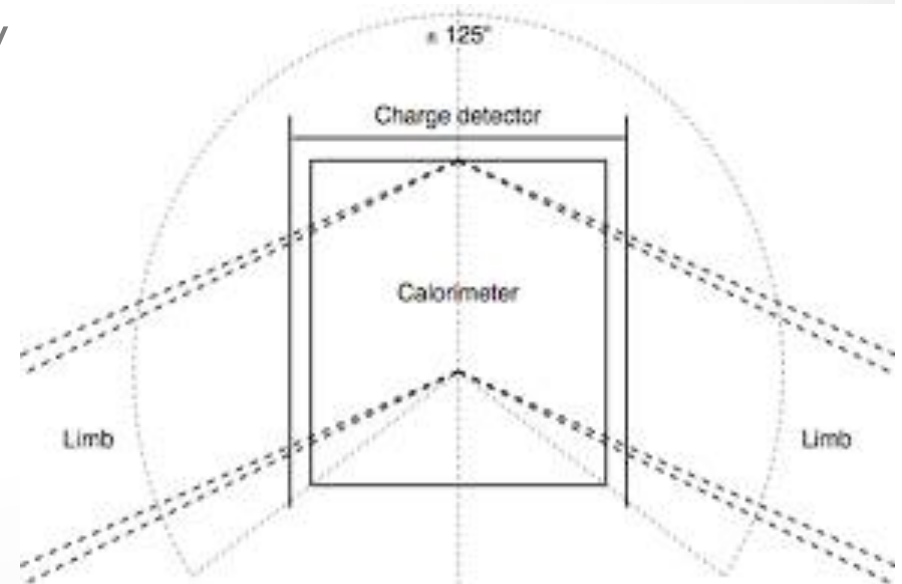
- Pseudo-experiments with an effective geometrical acceptance of  $1\text{m}^2\text{sr}$  (*effective = multiplied by selection efficiency*) and 3 years of data taking
- For an (arbitrary) systematic of 2% flat in energy and a  $\Delta E/E=40\%$ , the break can be observed, but an unfolding is necessary to have the correct spectrum





# Absolute energy scale

- However the most dangerous systematic is the absolute energy scale (not considered before!)
- Any possibility of calibrating in space?
- Earth limb: highest high-energy  $\gamma$ -ray source in *Low Earth Orbit (LEO)*
  - with  $5\text{m}^2\text{sr}$  a few thousand atmospheric  $\gamma$ -rays per year above 1 TeV
  - x100 the celestial intensity
  - $\sim 1^\circ$  wide at  $\sim 110^\circ$
  - inelasticity factor  $k \sim 0.16$



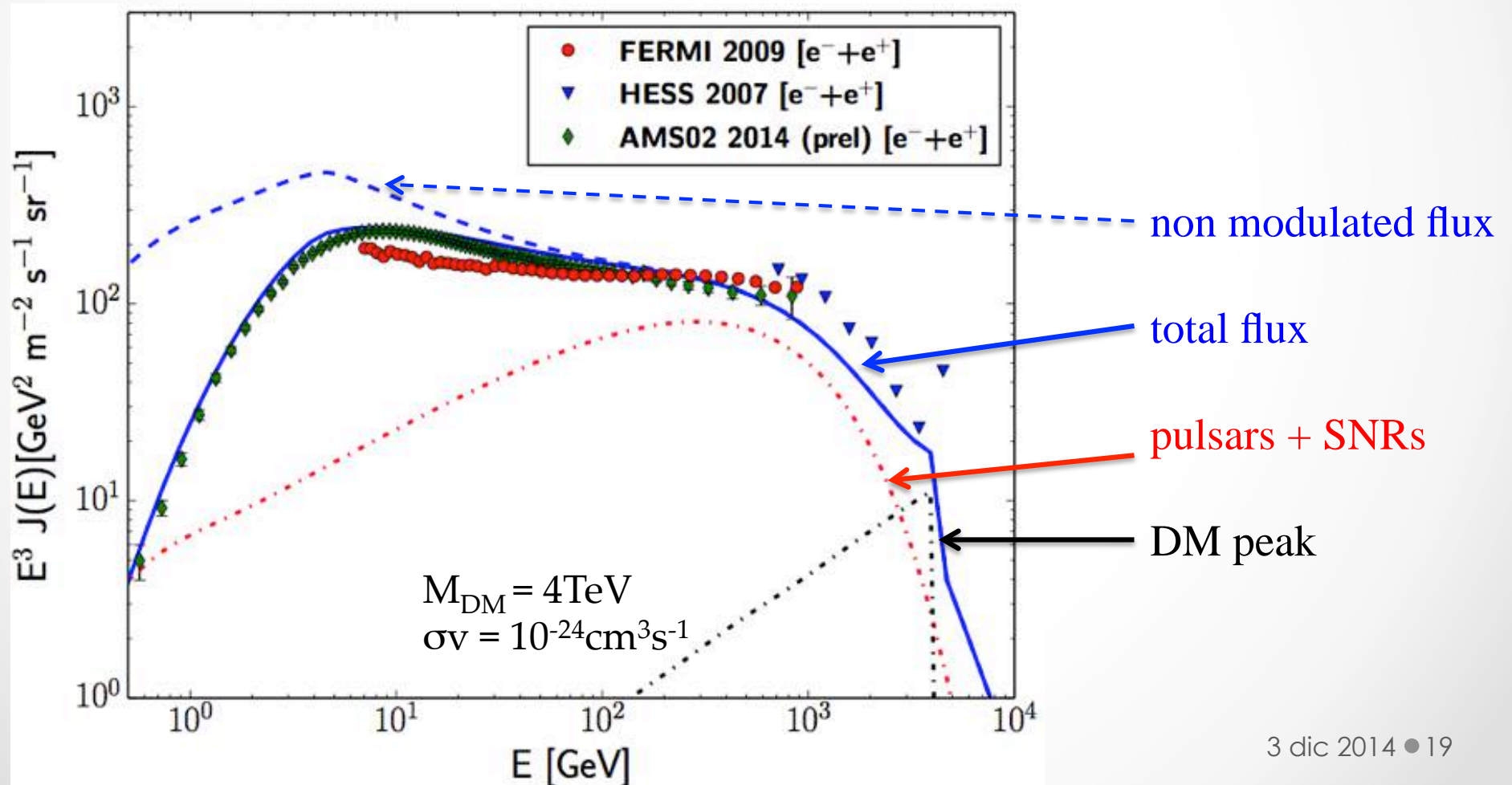
# Requirements for Next Generation Space Experiments

- The basic requirements for a *Next Generation Space Experiment* are:
  - maximal geometrical acceptance
  - identification of nuclei ( $Z$ ) and electrons
  - capability of measuring hadron energy
- What physics are we excluding, by giving up on the presence of a  $\gamma$ -converter or a magnet?
- Example: what about Dark Matter?
  - need access to anti-particle?  $\rightarrow$  magnet
  - need analysis of  $\gamma$ -line or Diffuse Galactic Emission (DGE)?  $\rightarrow$   $\gamma$ -converter

LARGE  
ACCEPTANCE  
CALORIMETER

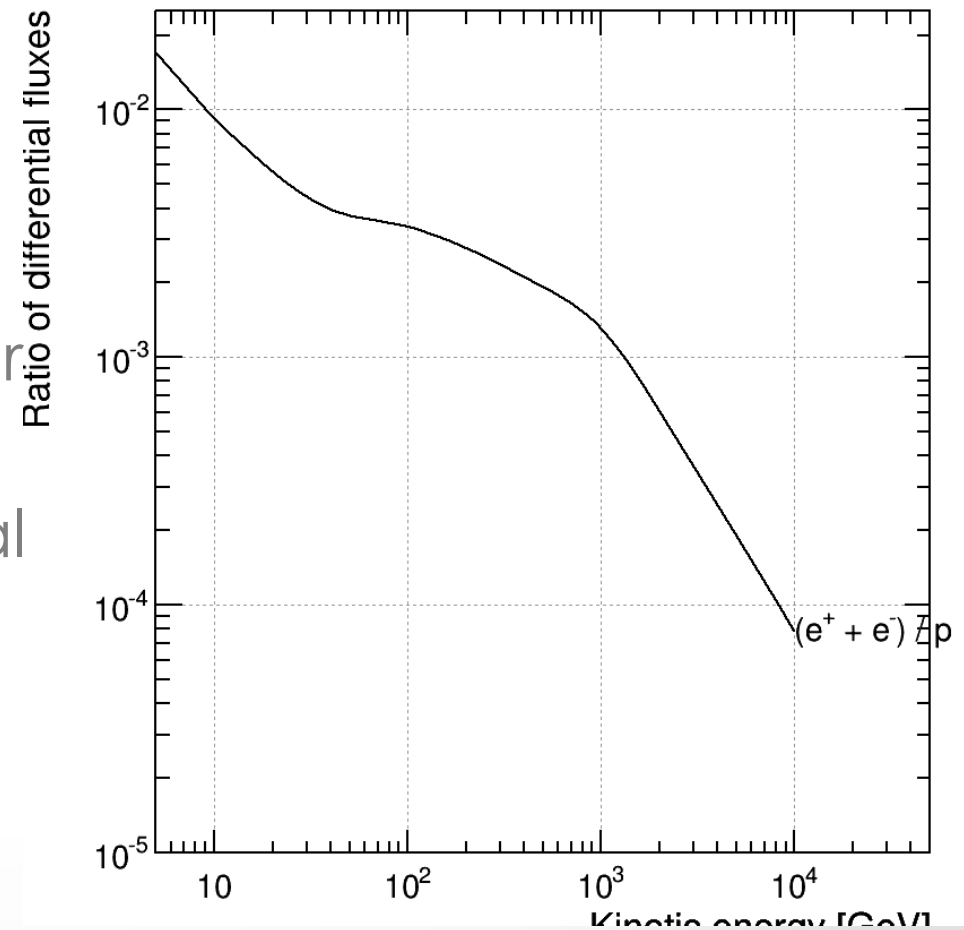
# DM in $e^+e^-$ (all electrons)

- Can DM be observed in the total flux (no charge sign)?
- Model of  $\chi\chi \rightarrow l^+l^- \rightarrow e^+e^-X$  (democratic leptons) with a sharp decrease of the  $e^\pm$  flux at  $M_\chi$

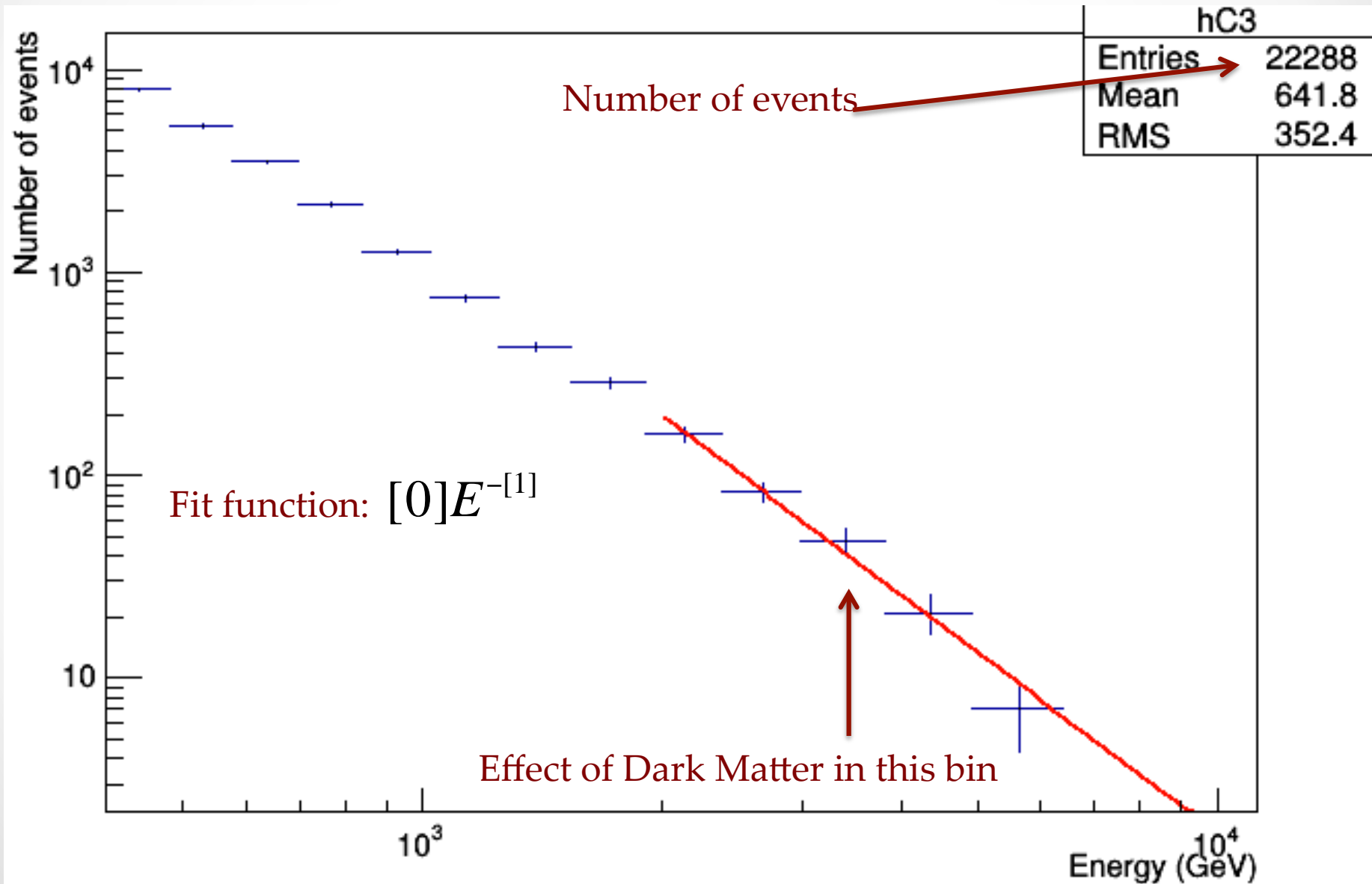


# Generation of pseudo-experiments

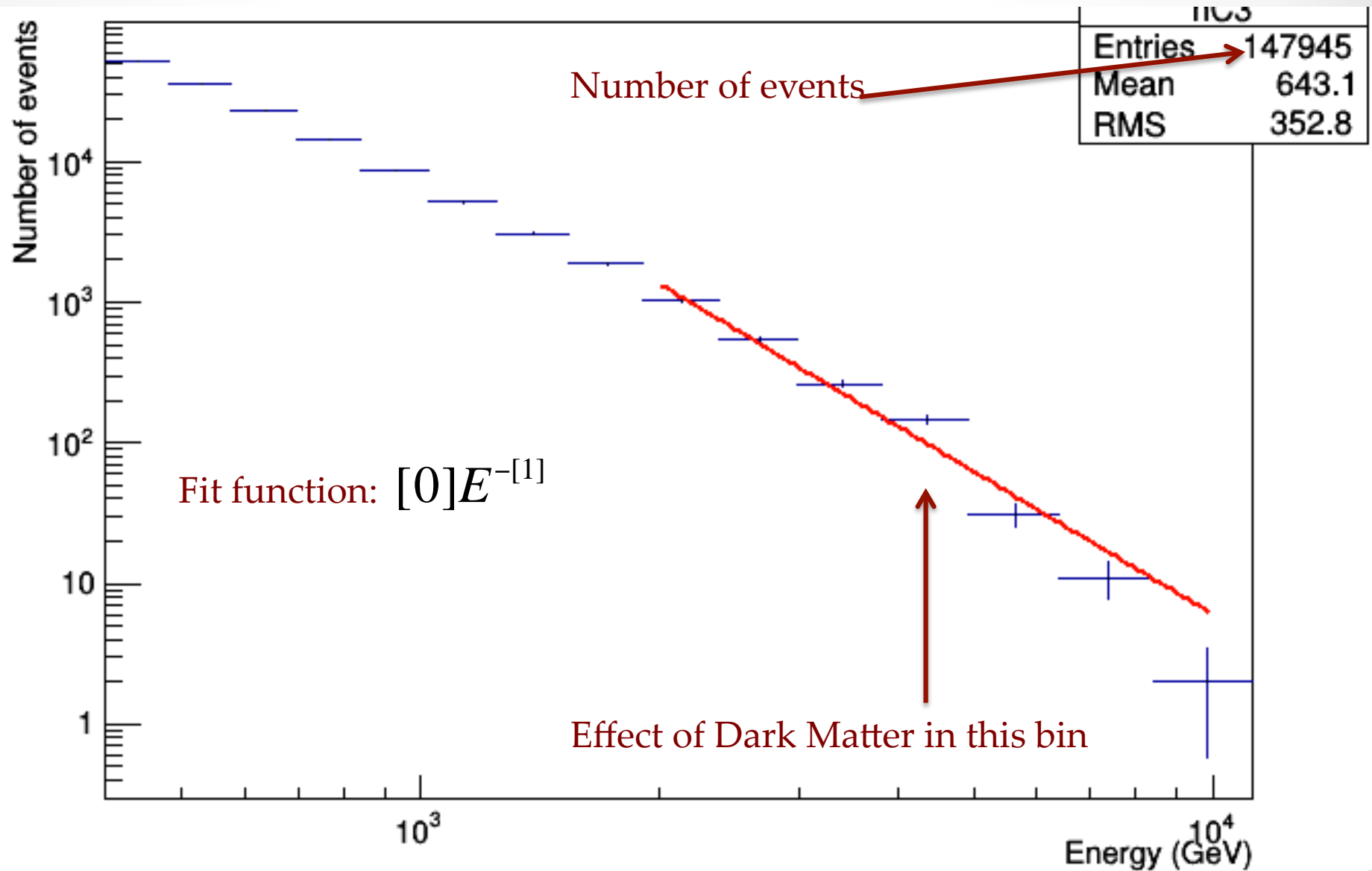
- Simulating N years of data (1 year =  $2 \cdot 10^7$  sec) with N=3-5
- *Effective geometrical acceptance A* of  $1 \text{ m}^2 \text{ sr}$  -  $5 \text{ m}^2 \text{ sr}$
- The most critical assumptions are:
  - protons have all been removed
  - signal efficiency is flat over the whole range
- These assumptions are critical as the ep ratio rapidly decrease above 1 TeV



# $A = 1 \text{ m}^2\text{sr} - T = 3 \text{ years}$

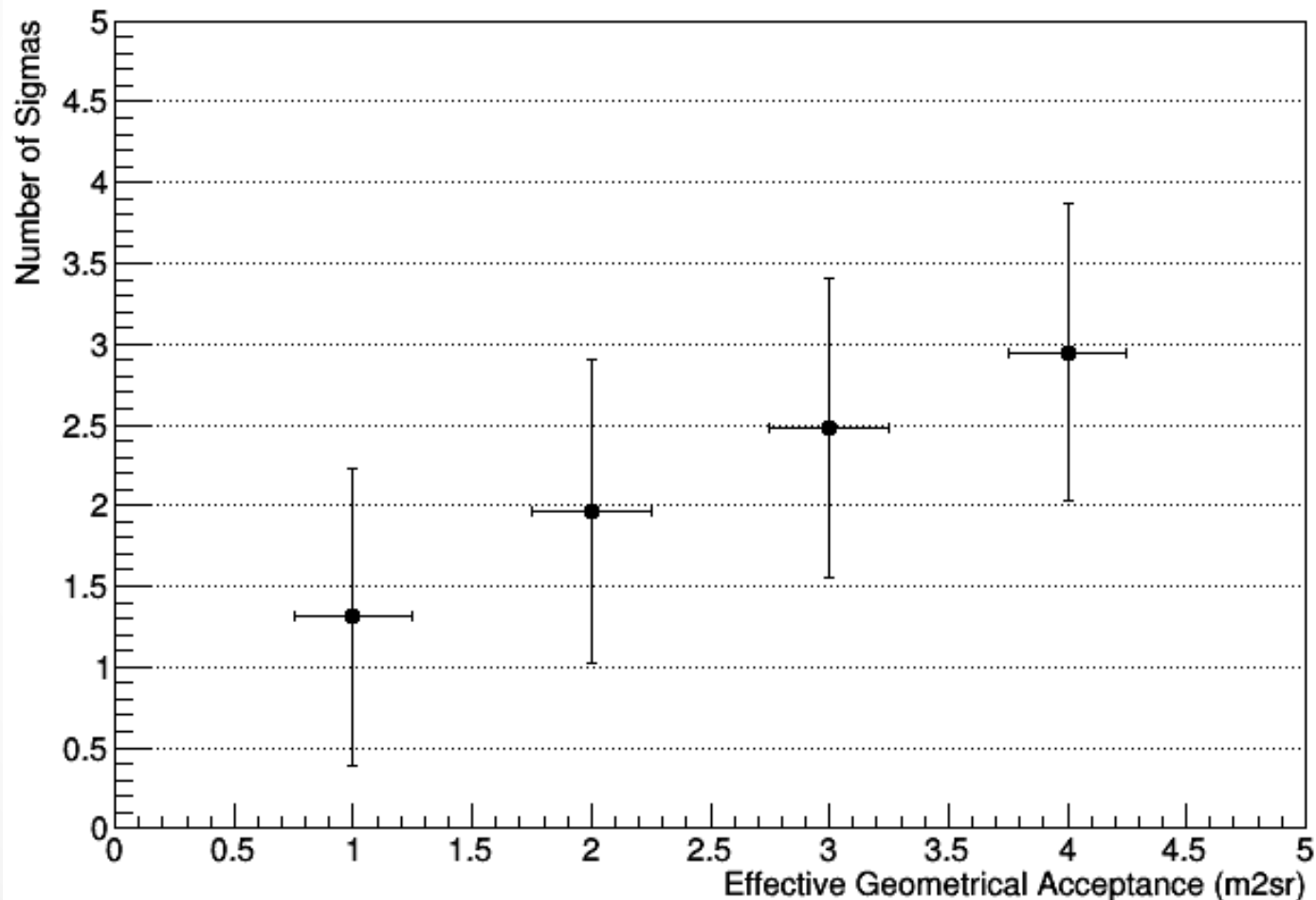


# $A = 4 \text{ m}^2\text{sr} - T = 5 \text{ years}$



# DM- $\rightarrow$ e<sup>+</sup>+e<sup>-</sup> in calorimeter experiment

- From this simple simulation, a  $3\sigma$  effect is observed in 5 years ( $5 \cdot 2 \cdot 10^7$  sec) with  $A = F \cdot \varepsilon \sim 4 \text{ m}^2 \text{ sr}$



# Magnet only : anti-protons

- the maximum rigidity accessible for anti-particles is limited by the *charge discrimination capability (CC)*
- CC depends on the antiparticle/particle ratio ( $r$ ) and on the Maximum Detectable Rigidity (MDR)
- For a detector with an MDR = 6.7 TeV (a possible AMS03), and some *reasonable assumptions*, the anti-particle rigidity is limited to a fraction  $f_{CC}$  of  $R_{MDR}$  as from the following table:

$r$	$10^{-1}$	$10^{-2}$	$10^{-3}$	$10^{-4}$	$10^{-5}$
$f_{CC}$	0.83	0.45	0.33	0.27	0.23
$R_{CC}$ (TeV)	5.63	3.07	2.25	1.82	1.53



anti-protons



# Magnet only : isotopes

- Isotopes are identified by a combined measurement of
  - rigidity  $R$  (energy resolution is too poor)
  - velocity  $\beta$ , with TOF or Cherenkov techniques

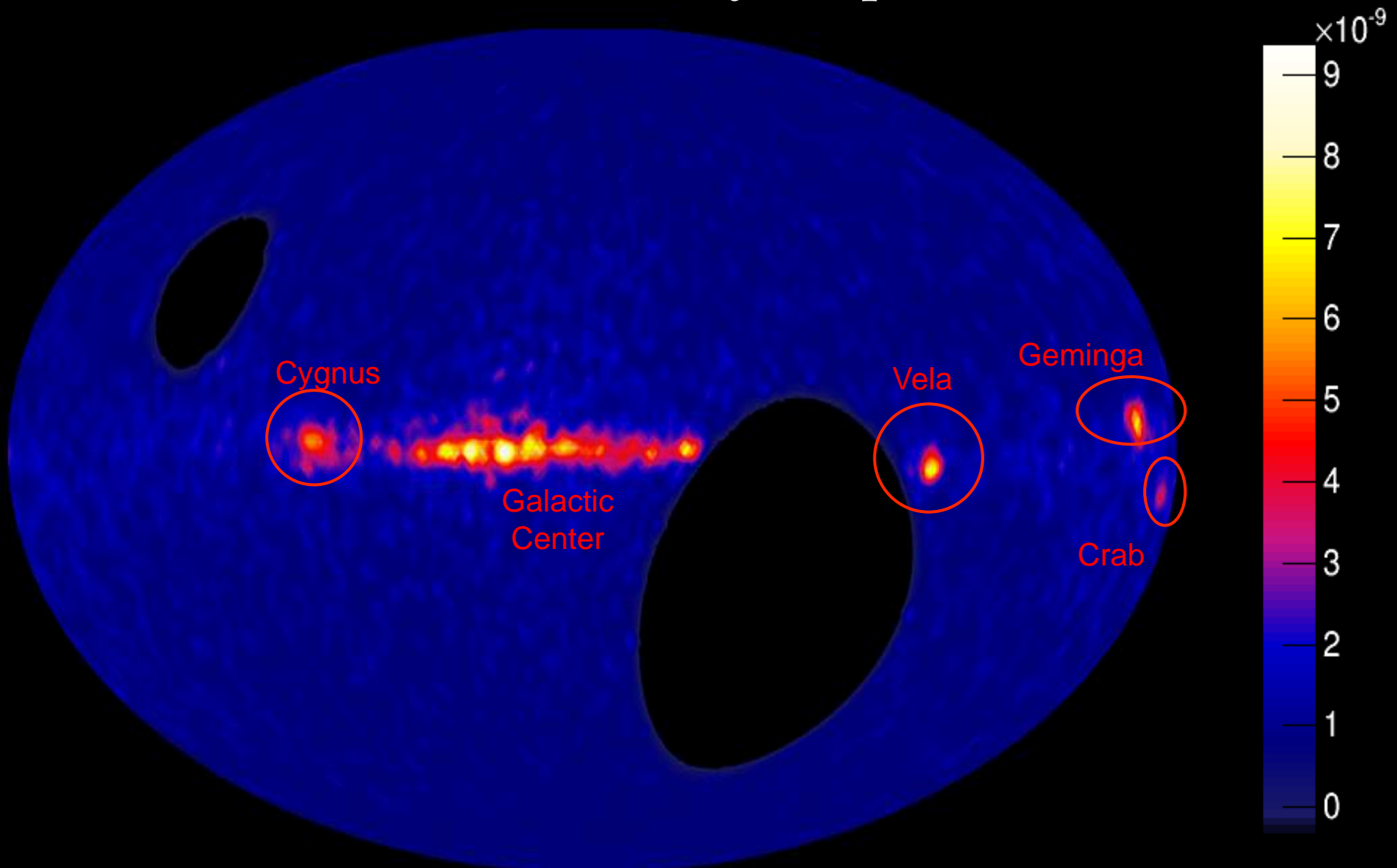
$$A = \frac{RZe}{m_n c \beta \gamma} \quad \left(\frac{\delta A}{A}\right)^2 = \left(\gamma^2 \frac{\delta \beta}{\beta}\right)^2 + \left(\frac{\delta R}{R}\right)^2$$

- Due to the  $\gamma^2$  term, assuming a per mill resolution on  $\beta$  (RICH)  $A$  can be measured up to  $\sim 10$  GeV/n
- with TOF the limit is  $\sim 1$  GeV ( $\sim 1\%$  resolution)
- $\delta R/R$  must be  $\leq 0.1$  to have  $\delta A \leq 1$  for  $A=10$  (Beryllium)

# Gamma-converter ?

- The main advantage of a  $\gamma$ -converter detector is a **better PSF**, useful to study point sources
- With the **advent of CTA**, which can reach energies down to few tens of GeV with their large telescopes, it is not clear the physics case which justifies such a technical choice
- By looking at LAT data, also the analyses of **Diffuse Galactic Emission or Dwarf Galaxies** are *limited by statistics, and not by PSF*
- **Calorimeters can measure the photon axis better than  $1^\circ$  at energies  $\sim 20\text{-}30$  GeV and above; is this enough?**

# AMS-ECAL sky map

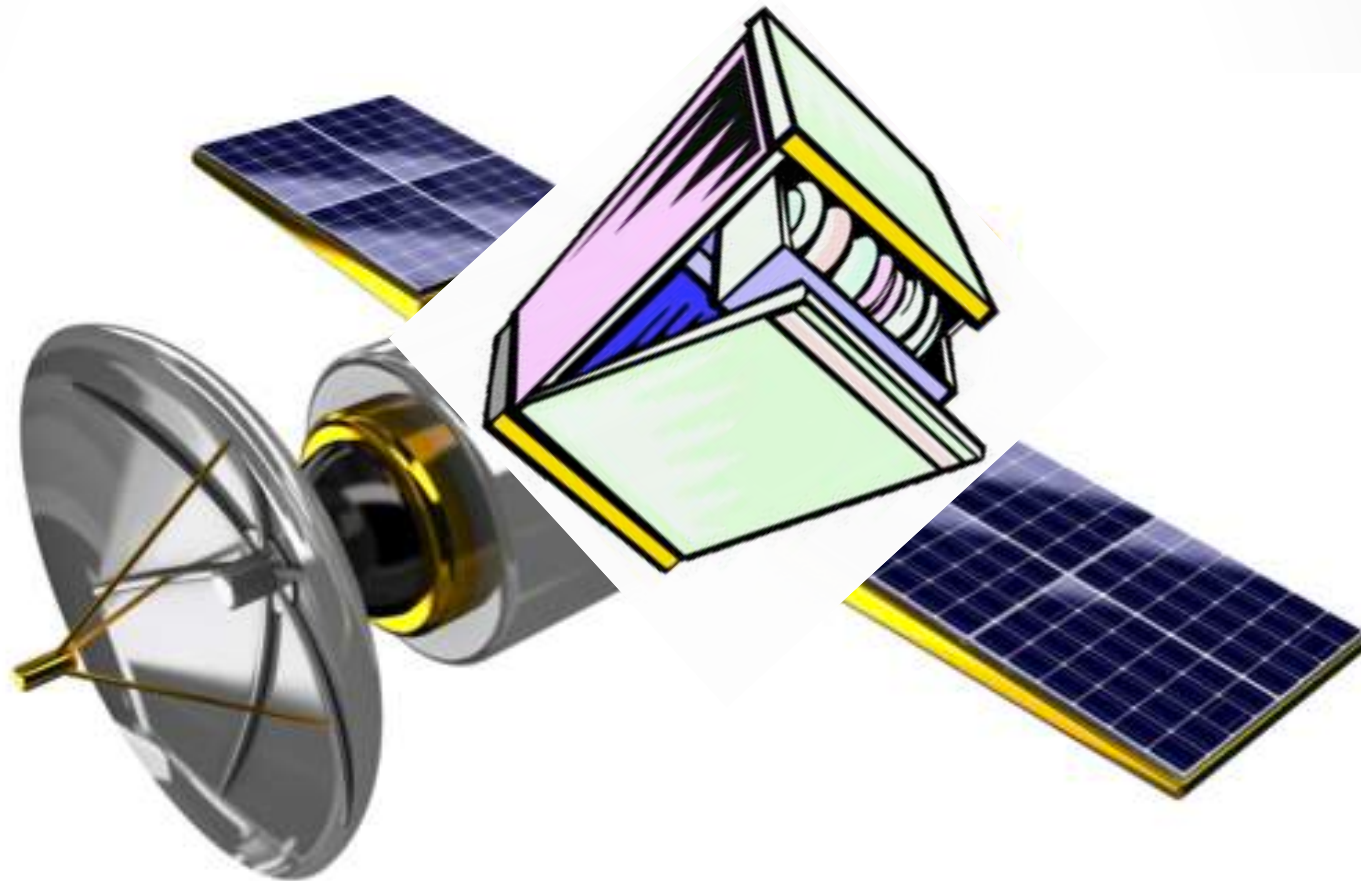


$E_\gamma > 5 \text{ GeV}$

Flux  $1^\circ \times 1^\circ$  pixels  
(photons  $\text{cm}^{-2}\text{s}$ )

# Conclusion or *Ode to the Dishwasher*

- Go for the largest and heaviest object you can build: a *Dishwasher in Space!*

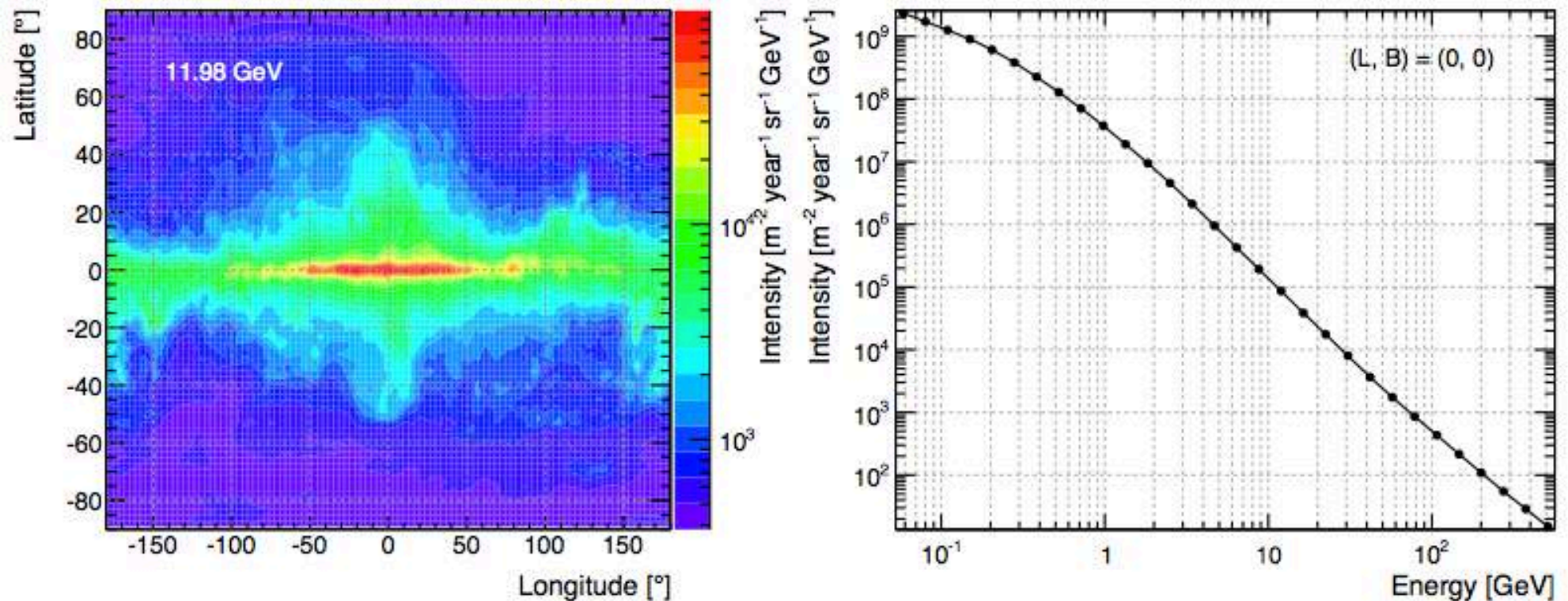




# Spare Slides



# Diffuse Galactic Emission – 1/3



- ▶ Prospects for studying the high-energy DGE:
  - ▶ arguably, an instrument with a much better PSF than Fermi (e.g., Gamma-400) will do much better in mapping out the details.
- ▶ The DGE is a foreground for *all* the gamma-ray analyses!
  - ▶ Improving here, would be just terrific.
- ▶ How do I quantify it all?

# Diffuse Galactic Emission – 2/3

- ▶ Well... Take a patch of the sky subtending a solid angle equivalent to a circle with a radius of the PSF 68% containment:

$$\Delta\Omega(E) = 2\pi [1 - \cos \theta_{68}(E)] \sim \pi\theta_{68}^2(E)$$

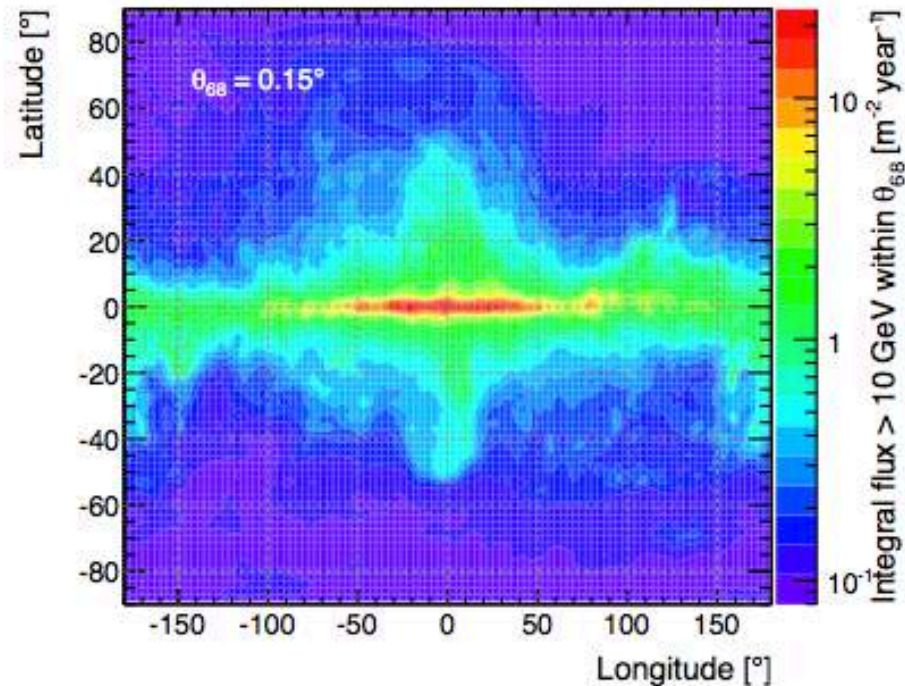
- ▶ Calculate the integral count spectrum above a given energy  $E_0$  from such a patch:

$$n_{68}(E_0) = \int_{E_0}^{\infty} J_{DGE}(E)\mathcal{E}(E)\Delta\Omega(E)dE$$

- ▶ And I argue that when this number is less than, say,  $\sim 10$  you are not really resolving the sub-PSF details of the DGE anymore.
- ▶ This is really a complicate interplay of the PSF *and* the acceptance (again).
  - ▶ Any attempt of discussing IRFs (PSF or energy resolution) with no explicit reference to the detector acceptance is at least misleading.
- ▶ Ok, now we can play this game for all directions in the sky.

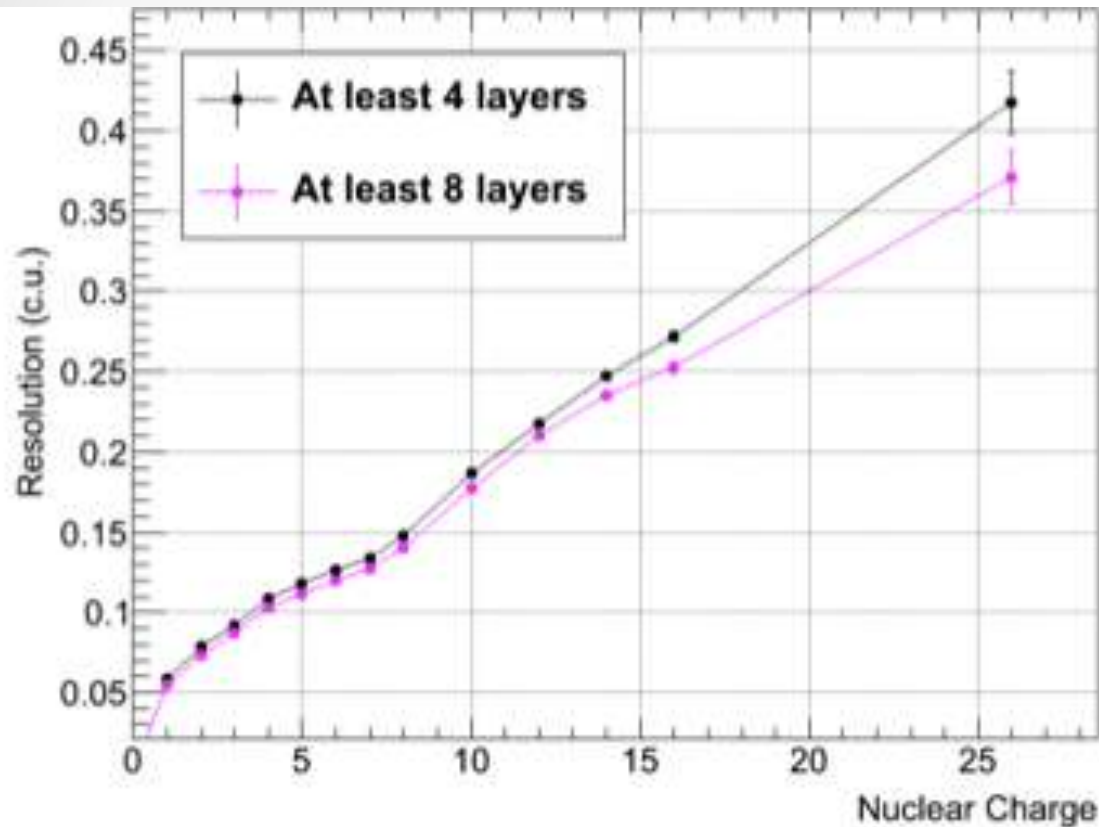


# Diffuse Galactic Emission – 3/3



- ▶ Remember:  $0.15^\circ$  is representative of the high-energy PSF 68% containment of the LAT.
- ▶ And  $\sim 1 \text{ m}^2 \text{ sr year}$  is representative of the exposure accumulated by the LAT in the entire mission.
- ▶ The LAT limited by statistics (for the DGE) above 10 GeV.
  - ▶ A better PSF would not help.
  - ▶ Not even in the Galactic center.

# Z resolution

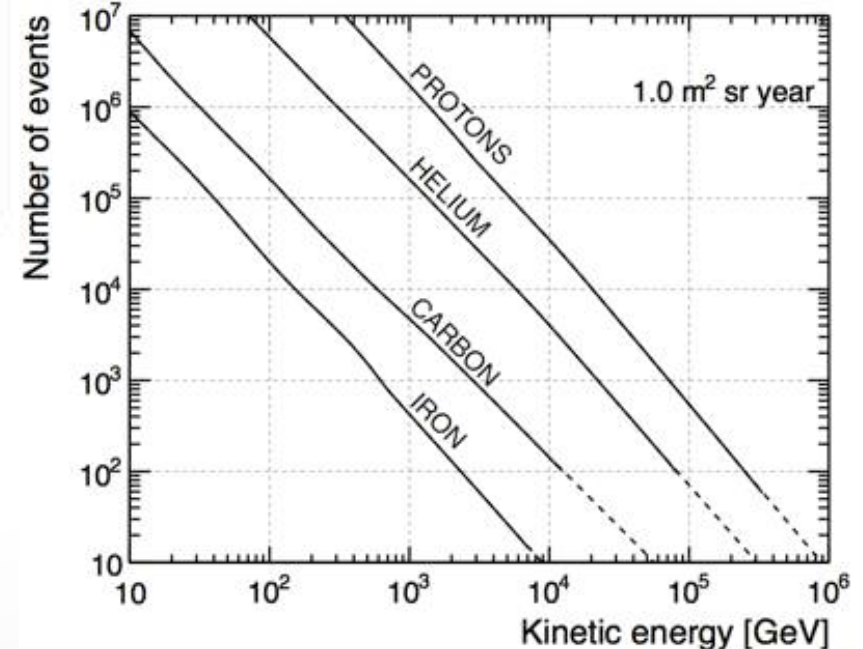


- Z identification of nuclei is not too hard, provided statistics is sufficient
- Low dependence on momentum: relativistic rise of Bethe-Block distribution

- Typical Z resolution of Silicon layers:

$$\Delta Z = 0.014 \cdot Z + 0.036$$

• Marco Incagli - INFN Pisa



# Heavy DM in anti-protons

- Is a DM anti-p signal at  $\sim 1\text{TeV}$  "reasonable"?
- It requires  $M_{\text{DM}} > 10\text{TeV}$  and a substantial boost factor

