

# Exercise with Fast Sim : importance of PID (and forward PID) for $B \rightarrow \rho \gamma$ analysis

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## Physical motivations

- $b \rightarrow d\gamma$  to determine  $|V_{td}|$
- $\text{ACP}(B^+ \rightarrow \rho\gamma)$  expected to be large in SM
- Time dependent  $\text{ACP}(B^0 \rightarrow \rho^0\gamma)$  expected to be small in SM but can be large in some non-SM models. That is why this channel sensitive to new Physics

## Background for $B \rightarrow \rho\gamma$

The decays  $b \rightarrow s\gamma$  and  $d\gamma$  have small kinematical difference. Therefore  $K^*\gamma$  is the important background of  $\rho\gamma$  and its branching fraction is one order of magnitude larger than the one  $B \rightarrow \rho\gamma$

	Br	Number for 1 $\text{ab}^{-1}$	Ratio
$B \rightarrow K^*\gamma$	$4.2 \cdot 10^{-5}$	$2.8 \cdot 10^4$	31
$B \rightarrow \rho\gamma$	$0.9 \cdot 10^{-6}$	$0.9 \cdot 10^3$	1

# Exercises with Fast-Sim

Aim of the exercise with Fast-Sim : is to evaluate the effect of the PID to the Experimental sensitivity.

For today we concentrate on  $B^0 \rightarrow \rho^0 \gamma$

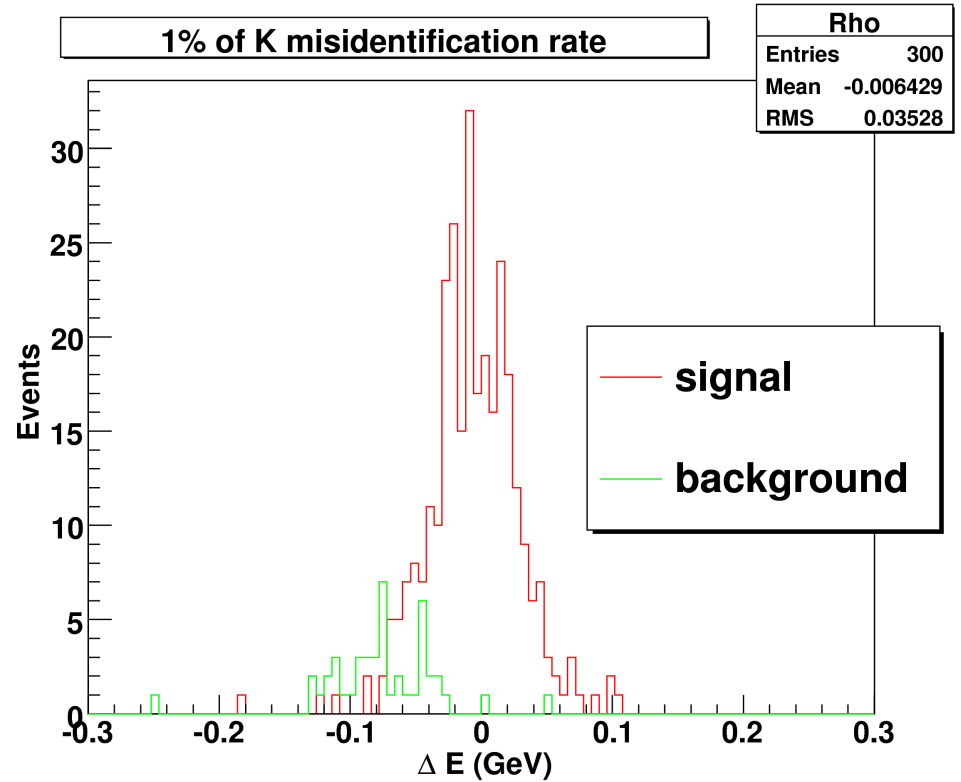
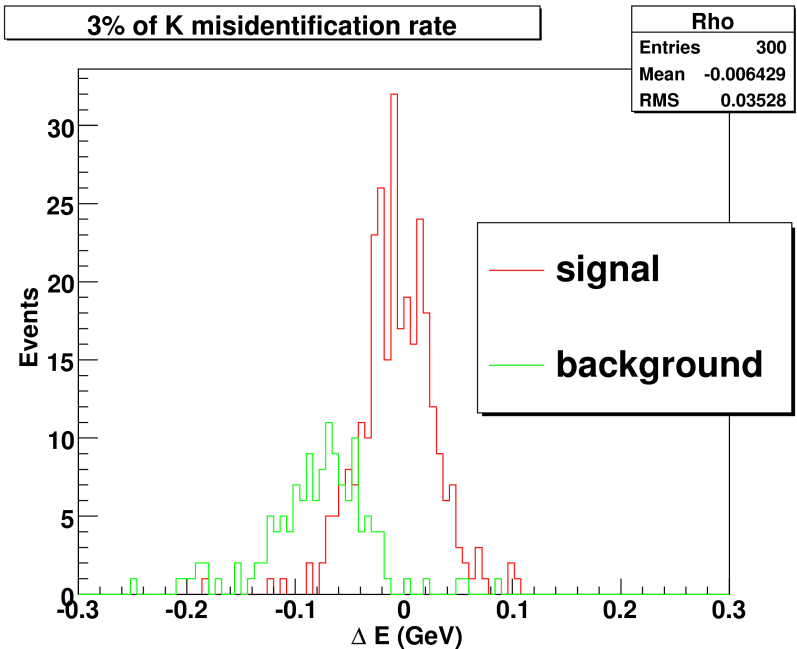
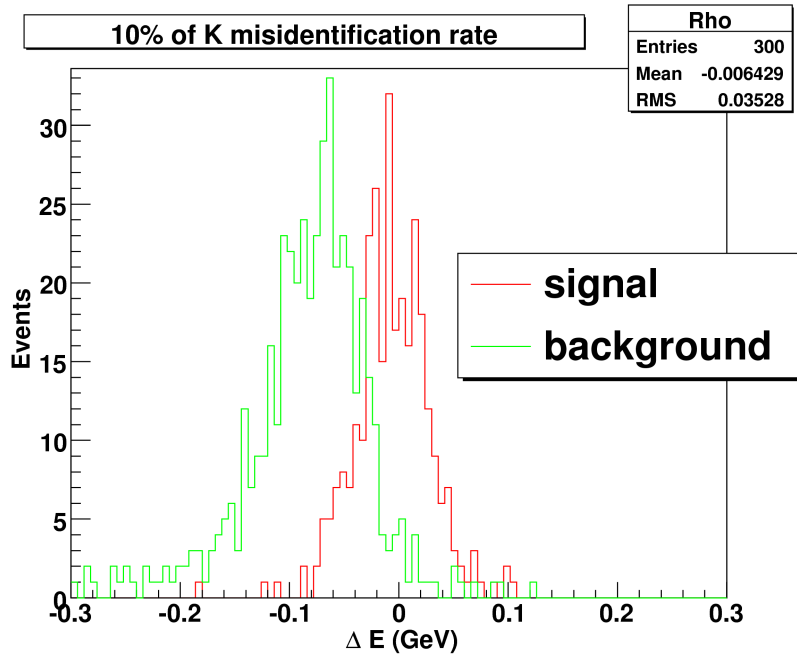


We generate two samples of events :  $B^0 \rightarrow \rho^0 \gamma$  and  $B^0 \rightarrow K^{*0} \gamma$  (detector and beam )

Analyse the two samples:

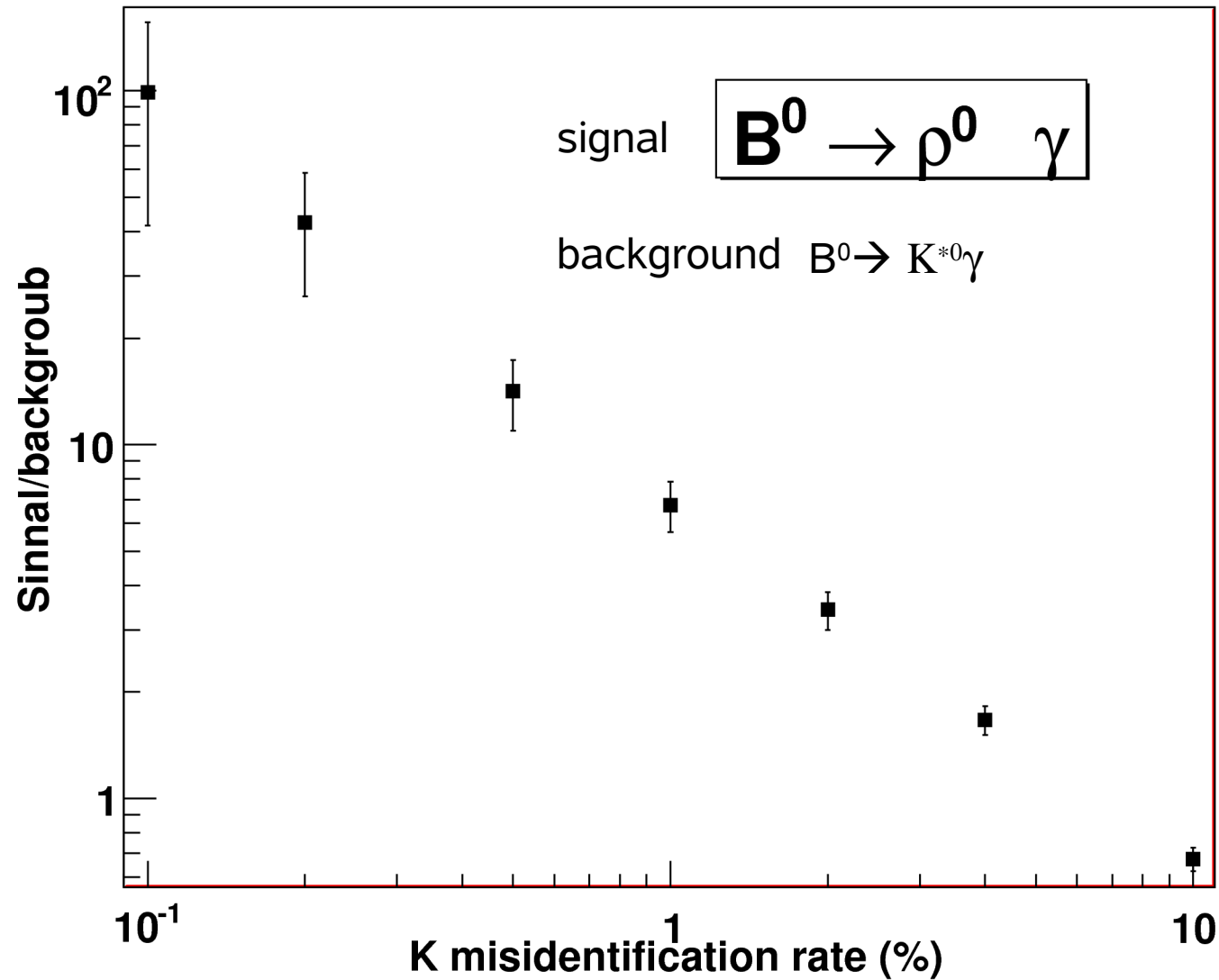
- $\pi\pi$  mass in the r region  $|M(\pi\pi)-M(\rho)| < 0.2 \text{ GeV}/c^2$
- $K\pi$  mass in the r region  $|M(K\pi)-M(K^*)| > 0.08 \text{ GeV}/c^2$   
(where the K is assigne to the particle with highest momentum in the pair)
- Construct mES variable and cut  $5.275 \text{ GeV}/c^2 < mES < 5.285$
- Assume a given efficiency for pion identification and a given misidentification ( $\pi^- K^+$ )
- Look at  $\Delta E$  variable

# $\Delta E$ variable



It seems that to have a good S/B ratio it is necessary to have better than 1% misidentification

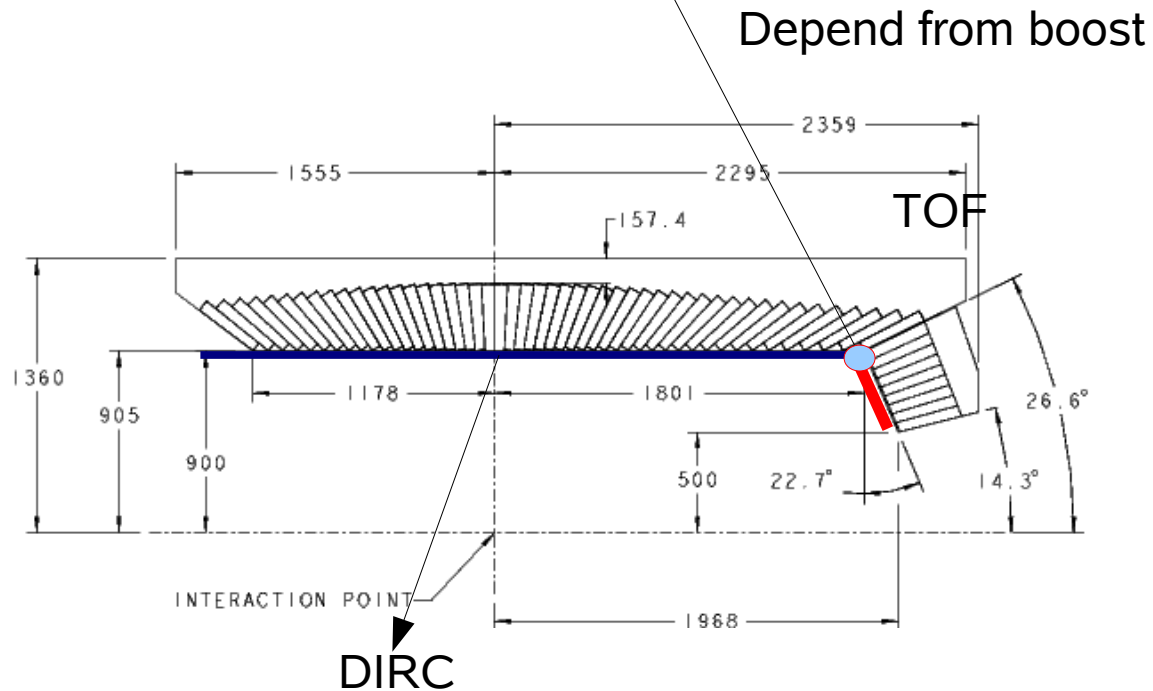
S/B ratio calculated using the events which are  
in the window  $-100\text{MeV} < \Delta E < 100\text{MeV}$



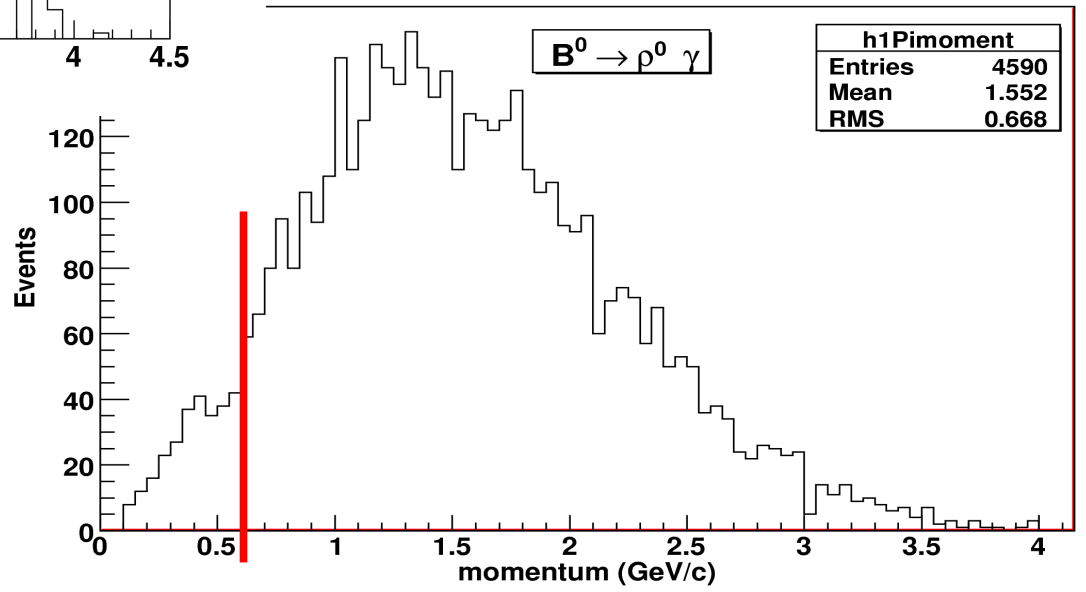
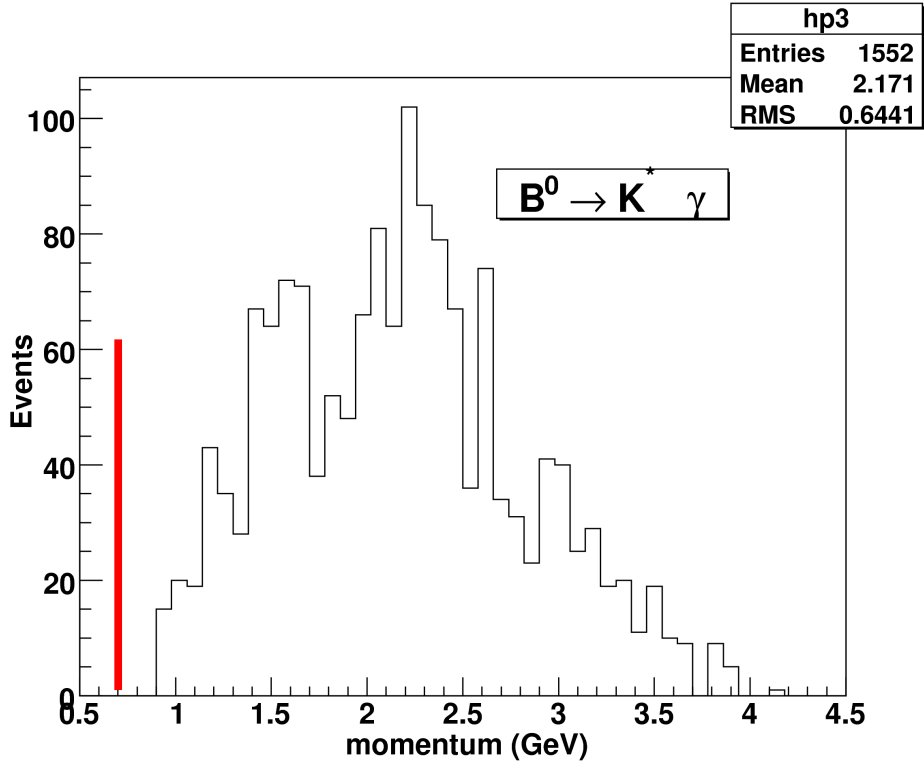
Misidentification  $\sim 1\%$  necessary to have good S/B

## We want to evaluate how much we gain if we have forward PID

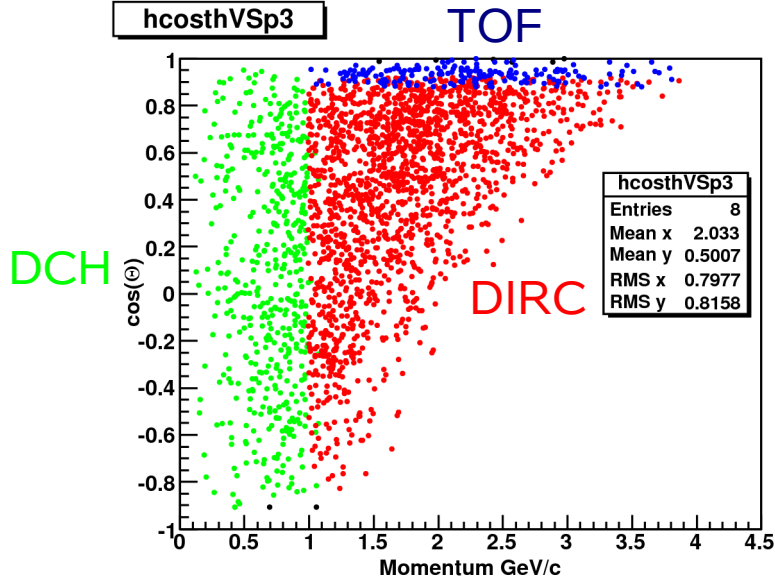
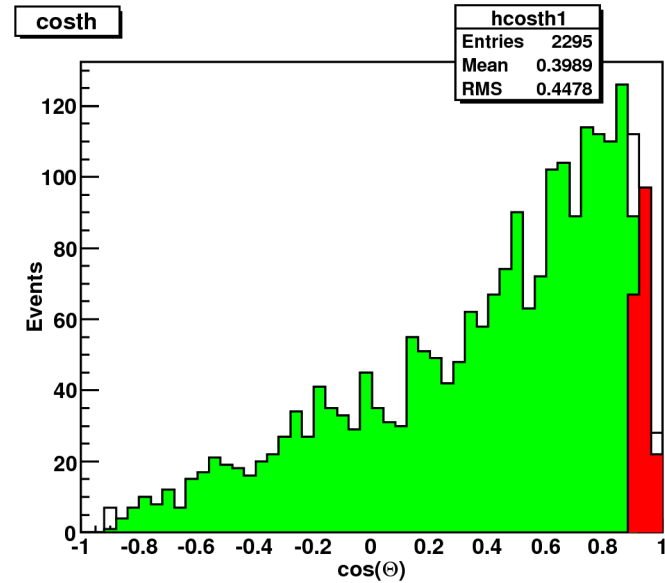
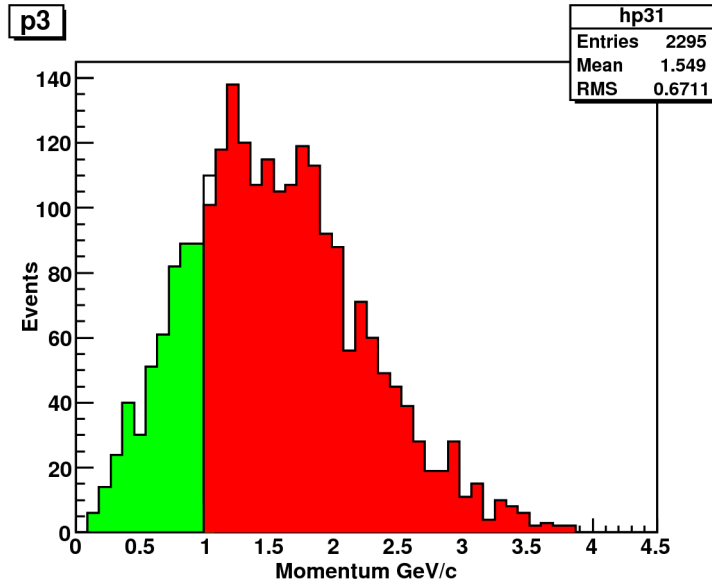
(even if the angular coverage is of about 8% we expect to gain more, if we have more than one particle)



In our case we need to guarantee 1% misidentification for particles between 1 and 4 GeV/c



# Our case $B^0 \rightarrow \rho^0 \gamma \rightarrow \pi^- \pi^+ \gamma$



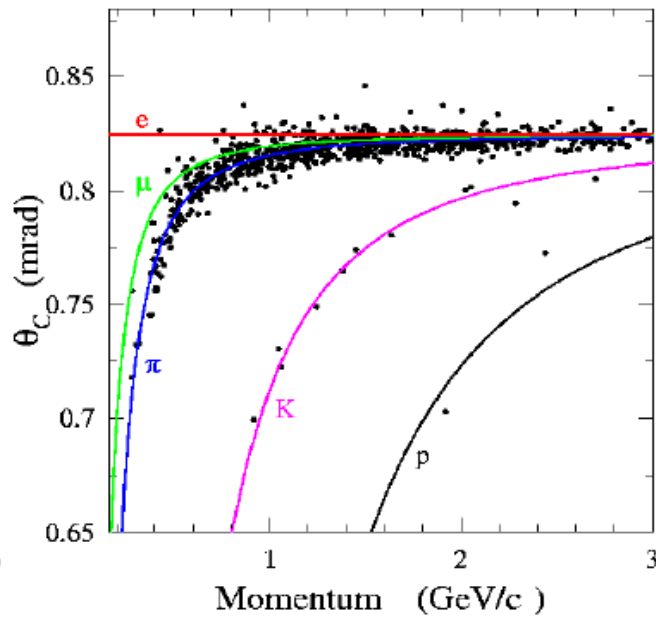
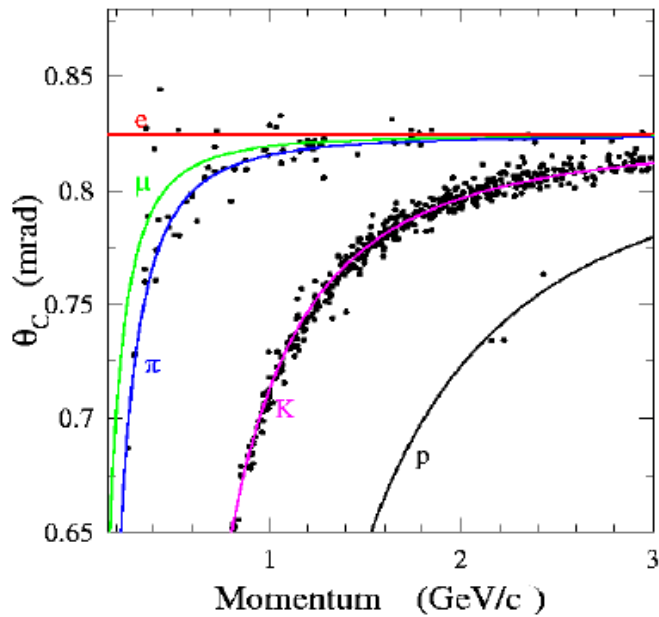
if we suppose that all the particles with  $p > 1 \text{ GeV}$  are accepted (1% misid.) than :

Result :

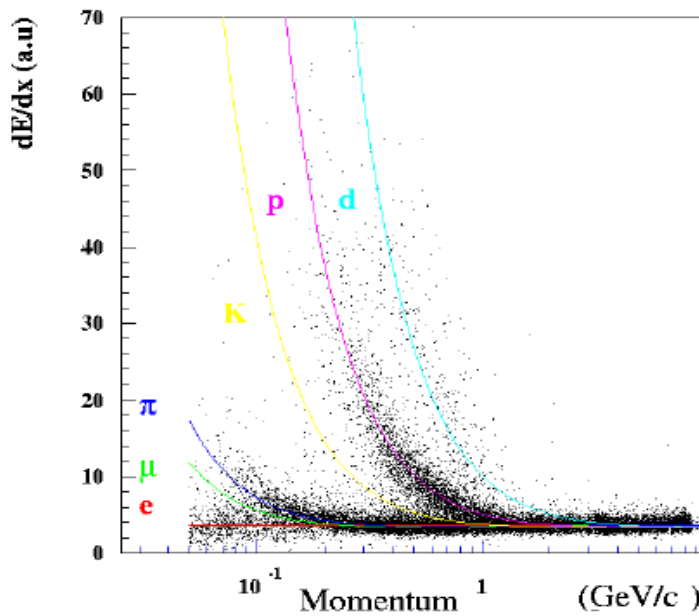
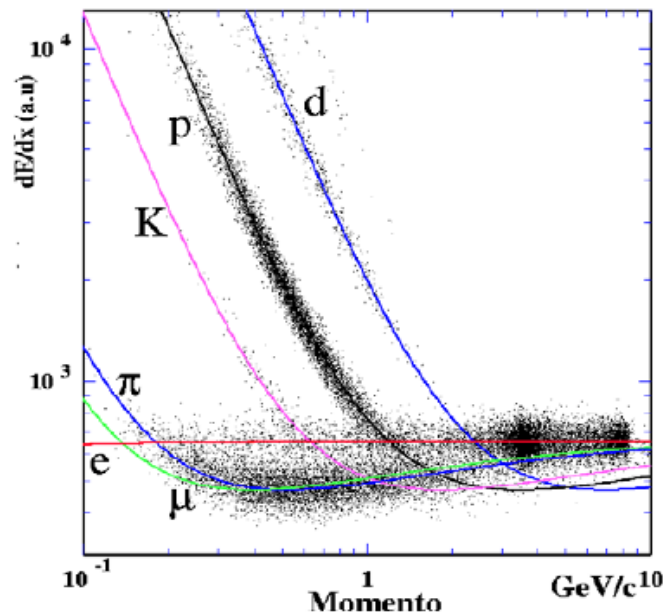
$$\frac{N(B^0 \rightarrow \rho^0 \gamma) \text{ [with forward PID]} }{N(B^0 \rightarrow \rho^0 \gamma) \text{ [without forward PID]} } = 13 \%$$



In future with the Fast-Sim information of dE/DX.Cerenkov angle, time...

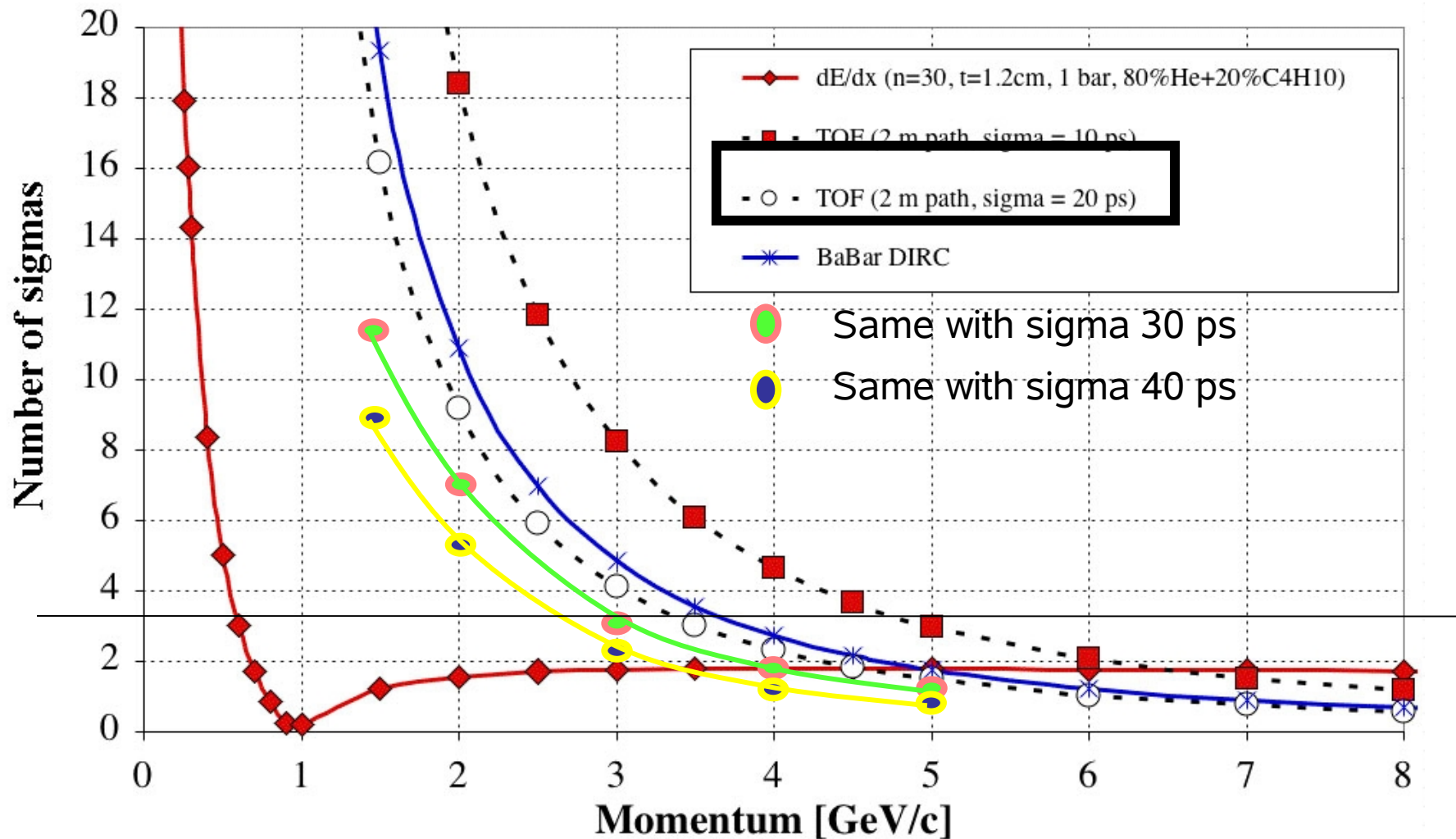


Cerenkov



dE/DX

## PID $K/\pi$ with different detectors



TOF with 20 ps same separation as for the BaBar DIRC

20 ps resolution in time are they realistic ?

30 ps resolution could be still interesting

have to be simulated