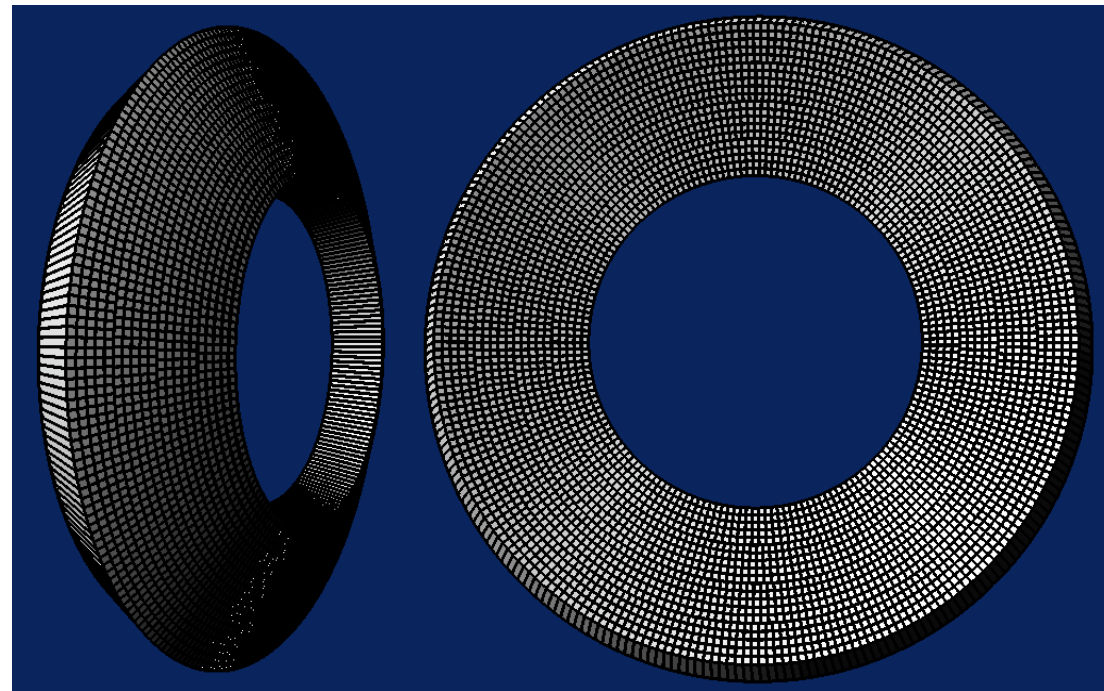


Fwd ECAL Parameterisation (for e/γ)

SuperB Computing Workshop

Frascati

16/12/08



C. Cecchi - S. Germani
INFN Perugia

Crystals Dimensions

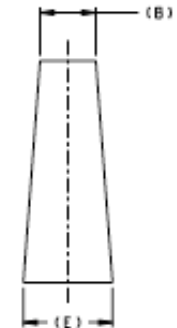
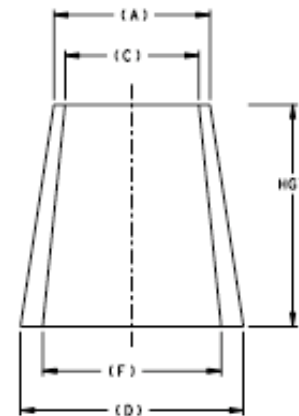
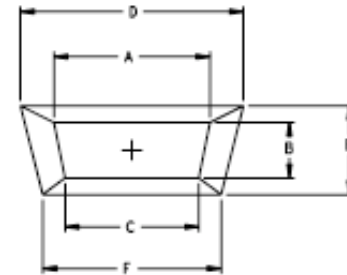
LSO cristas

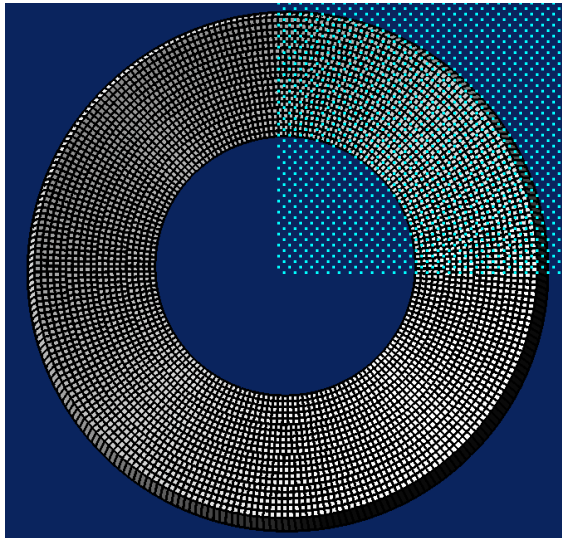
- depth: 20 cm $\sim 17.5 X_0$
- Cristas arranged in 20 rings within 5x5 modules

Ring | A B C | D E F

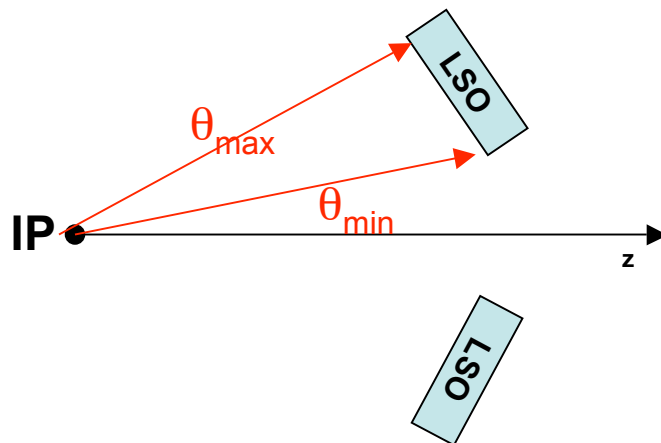
Ring	A	B	C	D	E	F	
175 Xtals/Ring 35 Modules	1	19.48	23.12	18.72	21.37	25.65	20.52
	2	20.26	23.12	19.50	22.23	25.65	21.38
	3	21.04	23.12	20.28	23.09	25.65	22.25
	4	21.82	23.12	21.05	23.96	25.65	23.11
	5	22.60	23.12	21.83	24.82	25.65	23.97
205 Xtals/Ring 41 Modules	6	19.92	23.12	19.27	21.95	25.65	21.22
	7	20.59	23.12	19.94	22.68	25.65	21.96
	8	21.25	23.12	20.60	23.42	25.65	22.70
	9	21.92	23.12	21.27	24.16	25.65	23.43
	10	22.58	23.12	21.93	24.89	25.65	24.17
235 Xtals/Ring 45 Modules	11	20.25	23.12	19.68	22.38	25.65	21.75
	12	20.83	23.12	20.26	23.02	25.65	22.39
	13	21.41	23.12	20.84	23.66	25.65	23.03
	14	21.99	23.12	21.42	24.31	25.65	23.67
	15	22.57	23.12	22.00	24.95	25.65	24.32
265 Xtals/Ring 53 Modules	16	20.51	23.12	20.00	22.71	25.65	22.15
	17	21.02	23.12	20.52	23.28	25.65	22.72
	18	21.54	23.12	21.03	23.85	25.65	23.29
	19	22.05	23.12	21.55	24.42	25.65	23.86
	20	22.57	23.12	22.06	24.99	25.65	24.43

4400 Crystals



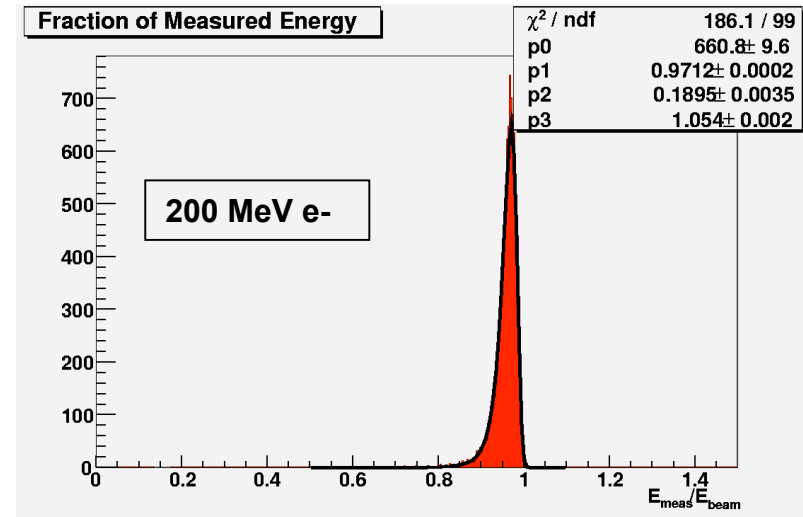


- Particles:
 - e- γ
- Energies:
 - 50, 100, 200, 350, 500, 750, 1000, 2000, 5000, 7000 MeV
- Surface:
 - Particles uniformly distributed in one quadrant between θ_{\min} - θ_{\max}
- Primary vertex position:
 - Interaction point ($x=y=z=0$)



Algorithm:

1. Get Xtal deposited energy
2. Perform Poisson smearing with 8k pe/MeV
 - Value obtained by measurements in PG and Caltech
3. Assign 1% calibration error to crystals
 - Reconstruct with $8k \pm 1\%$ pe/MeV
4. Apply minimum energy cut for each xtal
 - 1 MeV to be tuned
5. Sum Xtal energy



Comments:

- All distributions have asymmetric low energy tails
 - Backsplash for low E particles
 - Forward leakage for high E particles
- Energy distributions fit with asymmetric Gauss function: $\sigma = \sigma(E)$
- Proposed parameterisation uses fit of p1,p2,p3 vs Energy

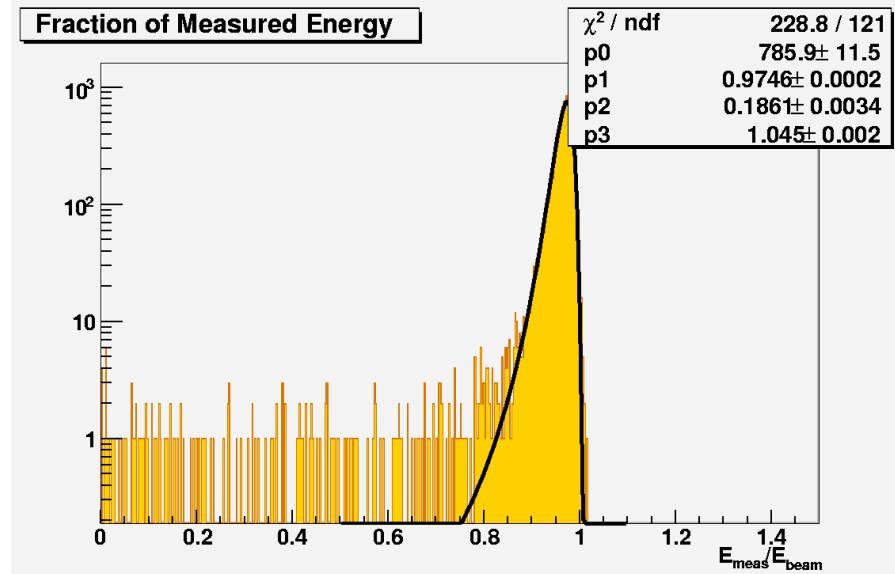
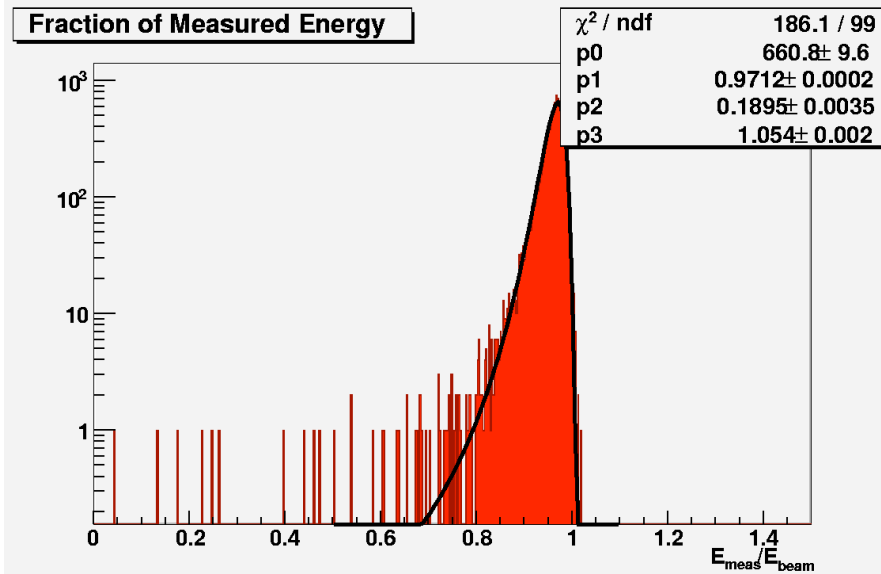
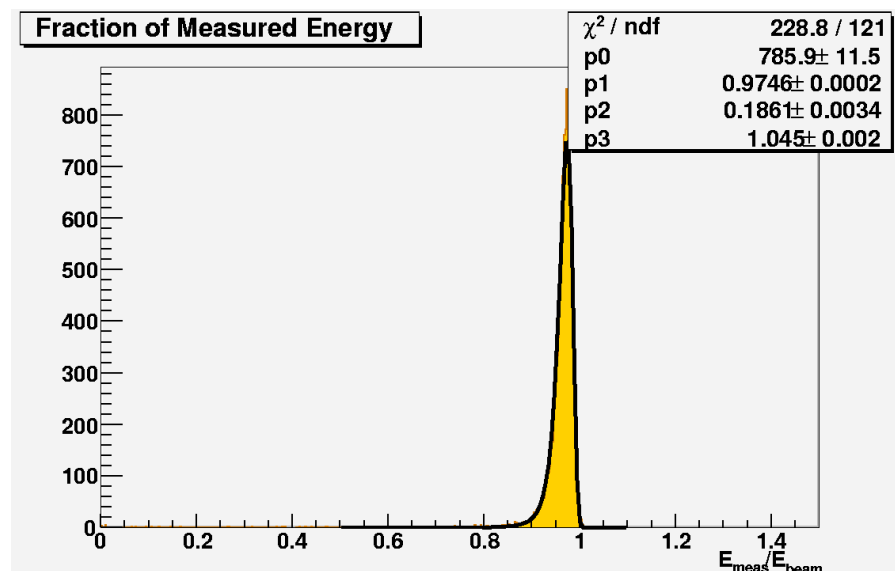
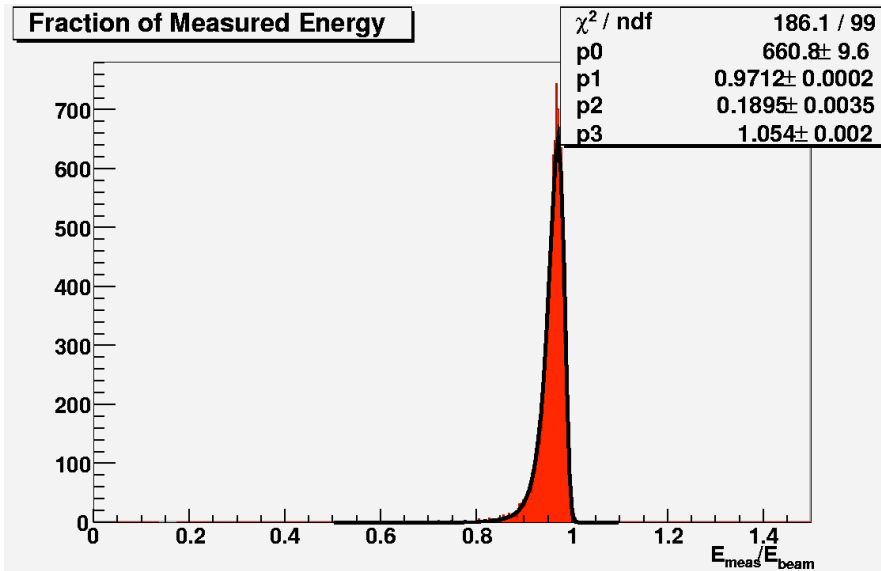


$$F(x) = P_0 e^{-\frac{(x-P_1)^2}{2[P_2(P_3-x)]^2}}$$

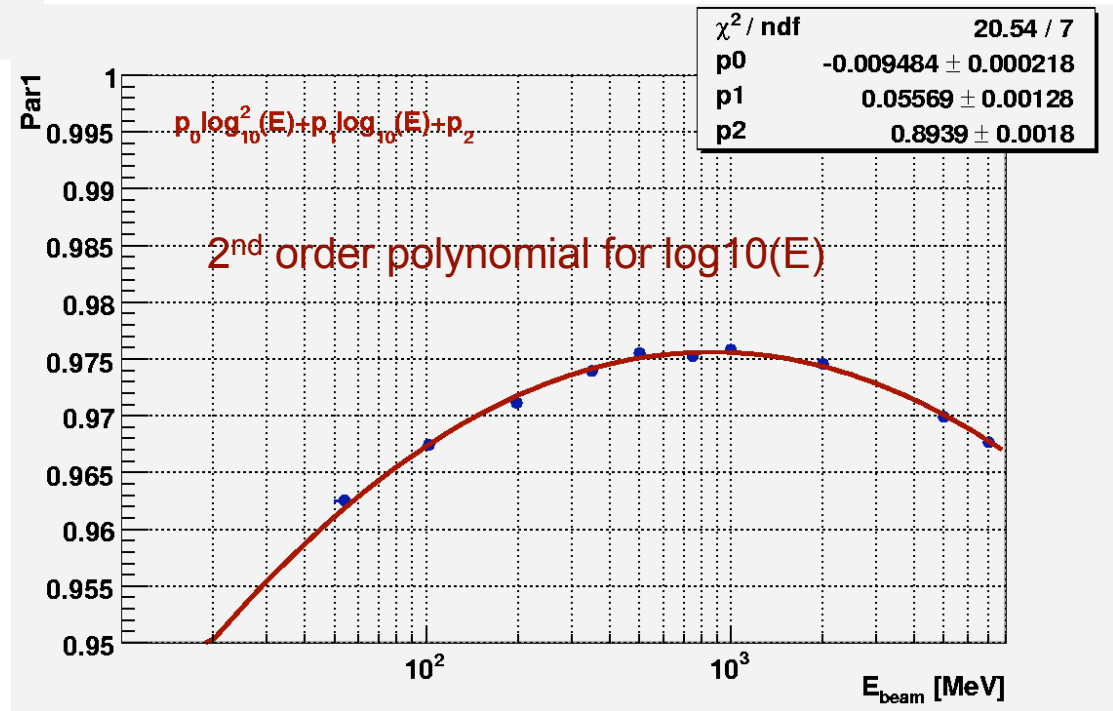
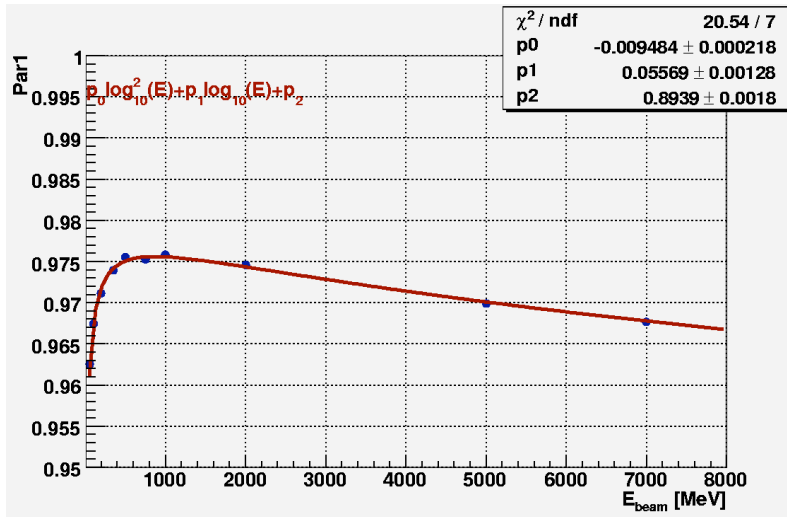
- P1 : most probable value (mpv)
- P2(P3-x) : running σ

200 MeV e-

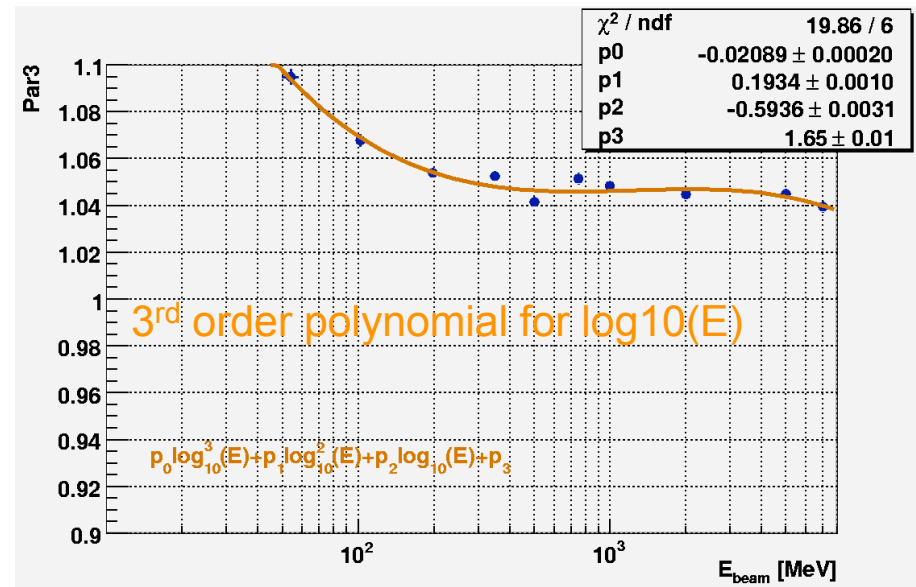
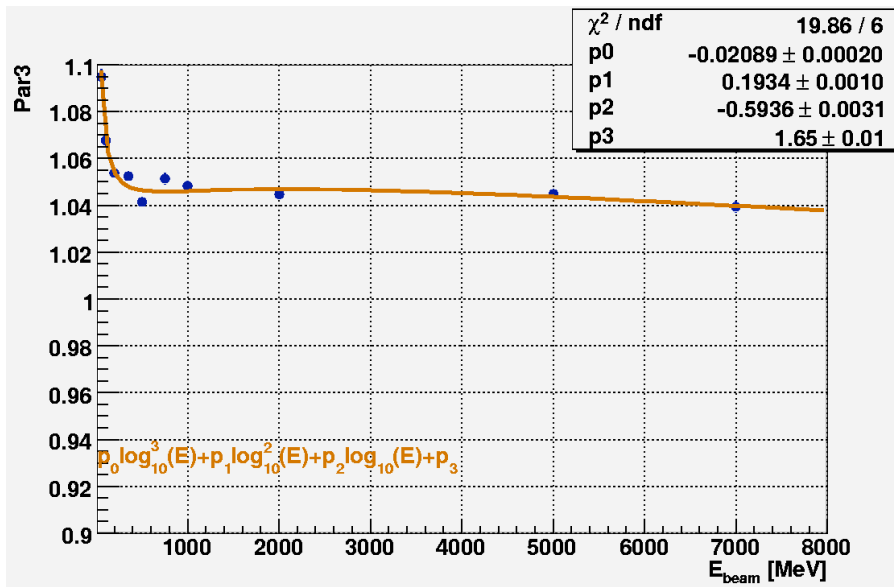
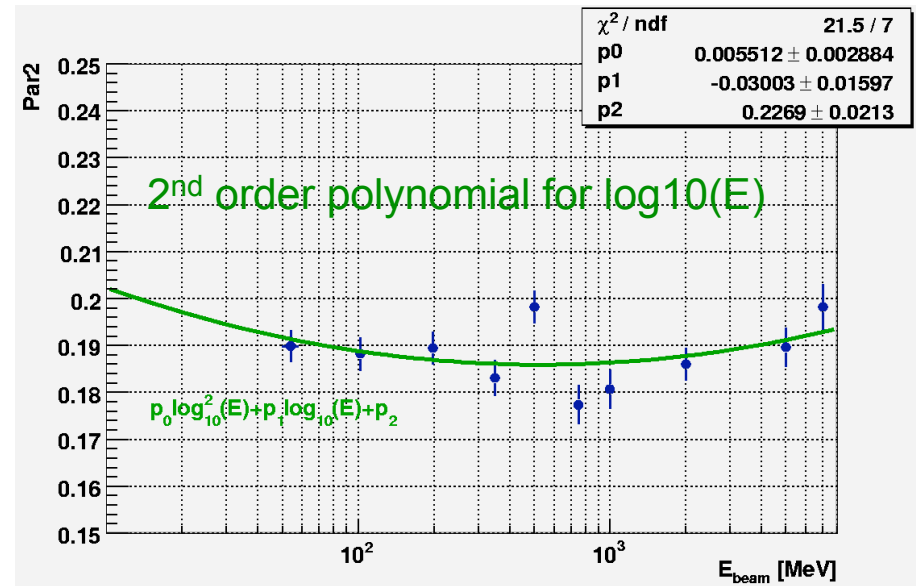
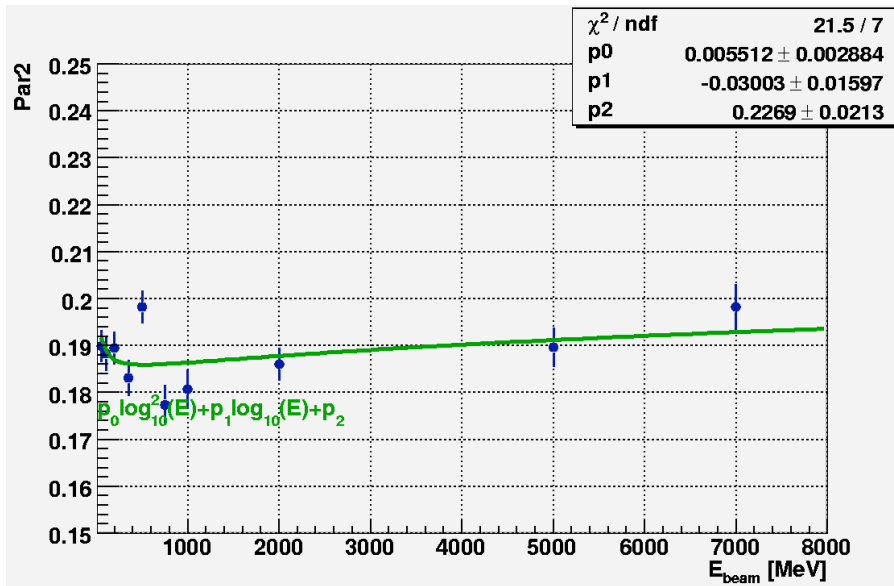
2 GeV e-



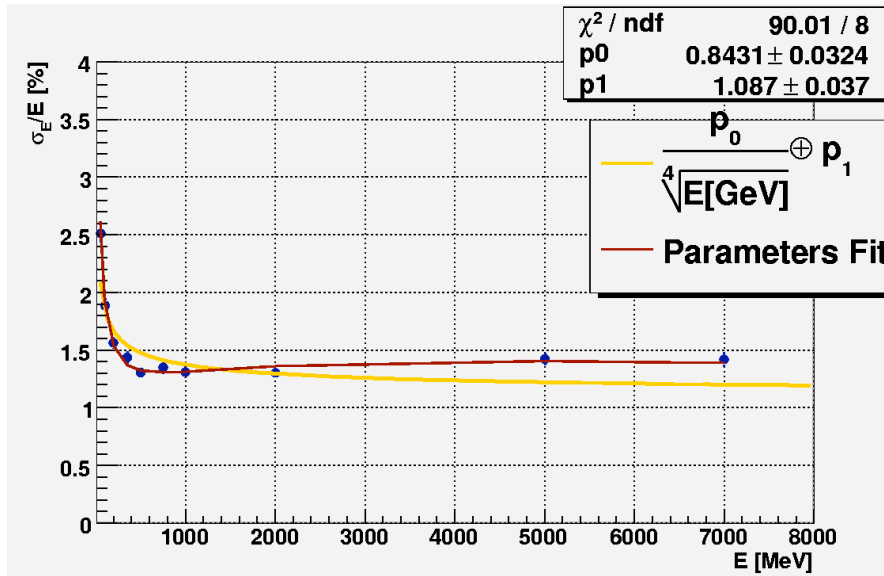
Emeas Fit par1(mpv) vs Energy: e-



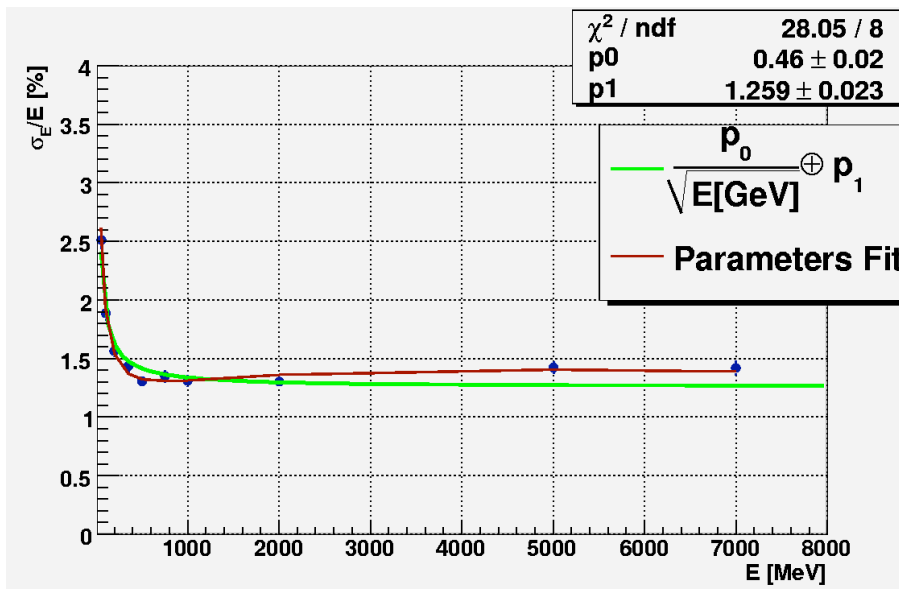
Emeas Fit par2 and par3 vs Energy: e-



Energy Resolution vs Energy: e-



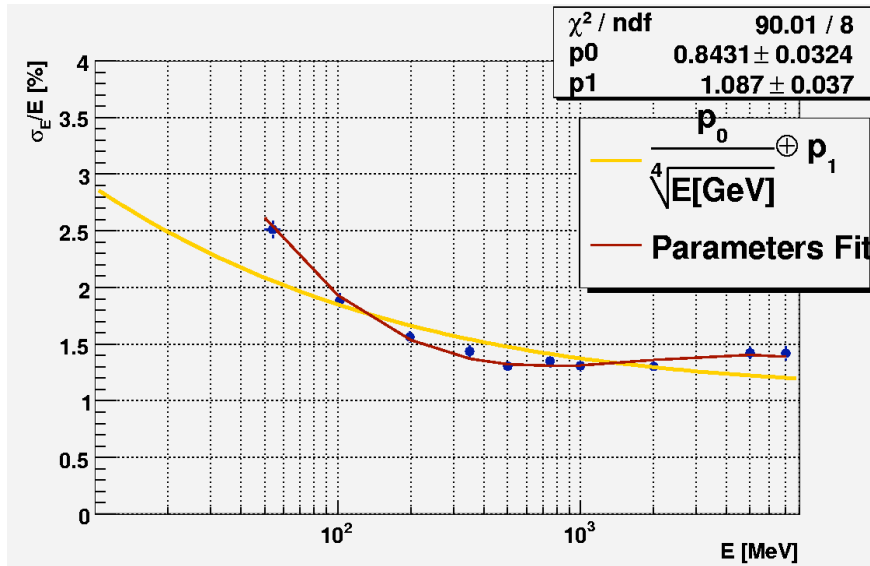
- To show the energy resolution use the running sigma value at the peak : $\sigma(\text{mpv})$
 - Slightly underestimates the real distribution width
- Compare measured points with results from parameters fit
- Fit measured points with



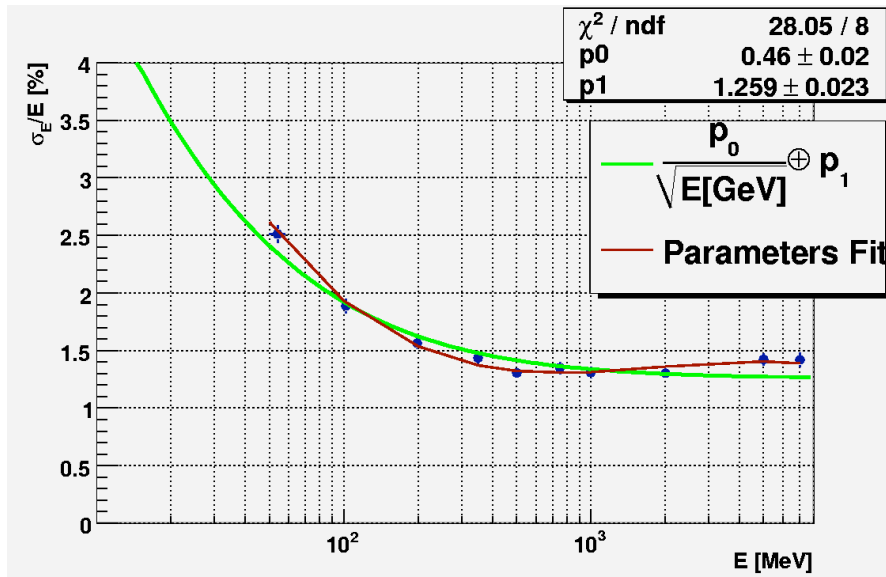
$$\frac{\sigma(E)}{E} = \frac{p_0}{\sqrt[4]{E[\text{GeV}]}} \oplus p_1$$

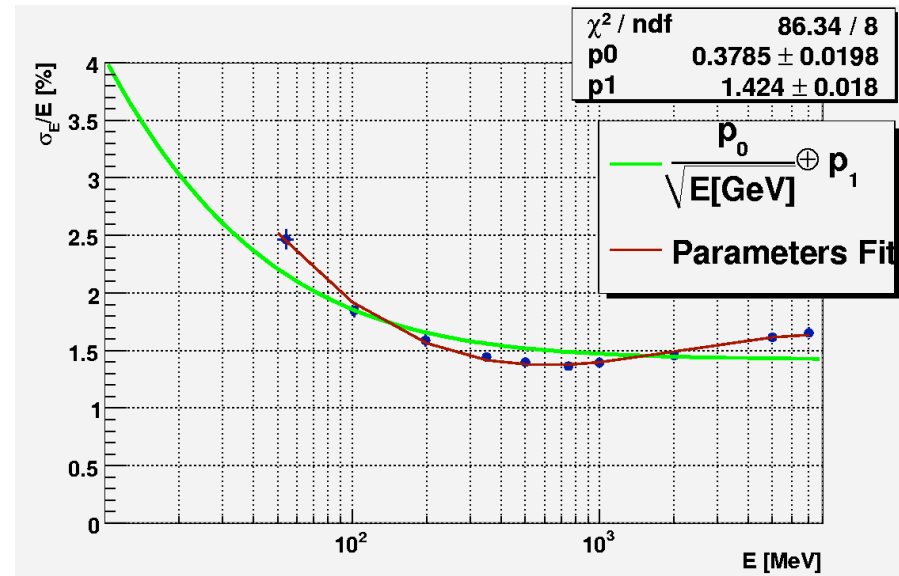
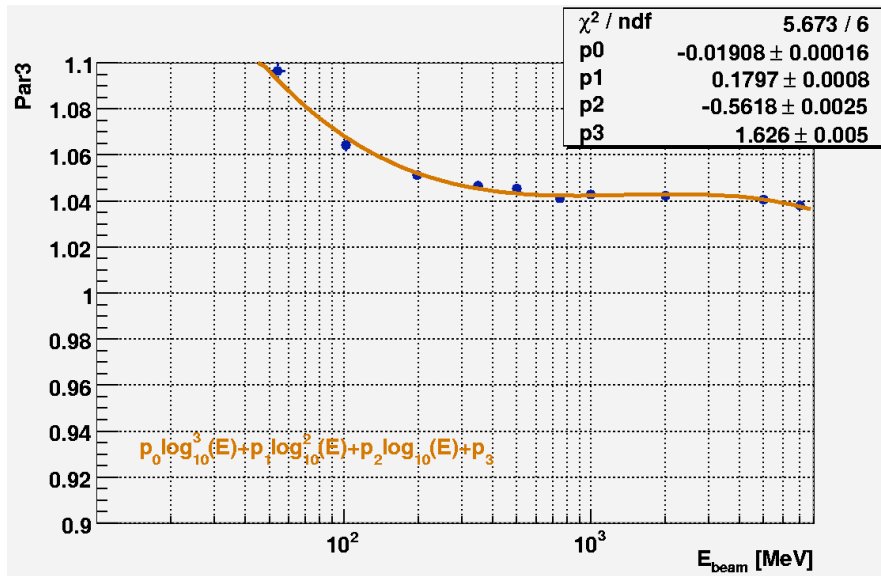
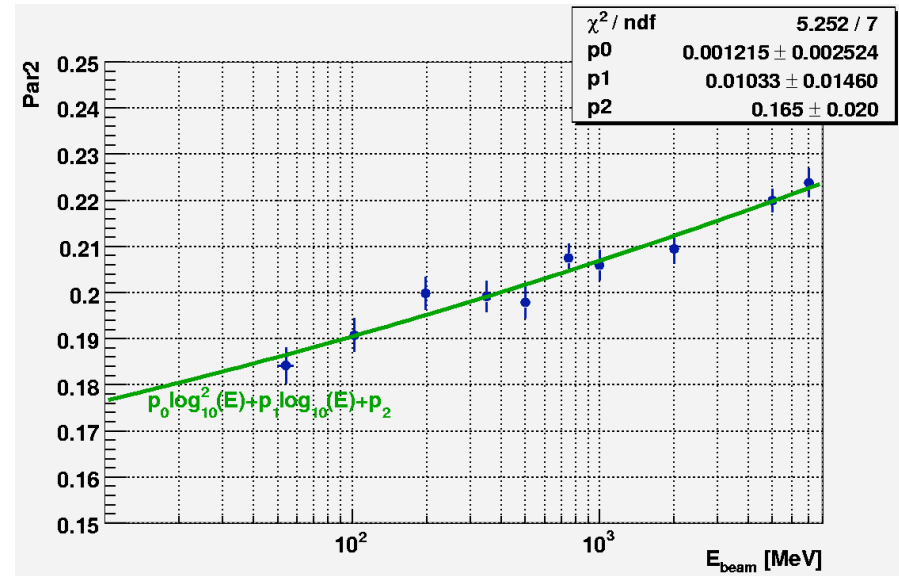
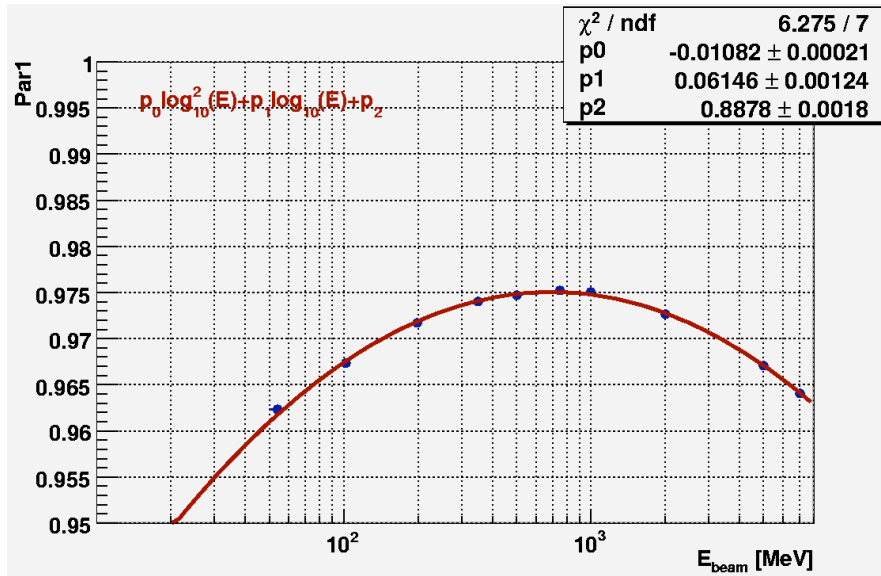
$$\frac{\sigma(E)}{E} = \frac{p_0}{\sqrt{E[\text{GeV}]}} \oplus p_1$$

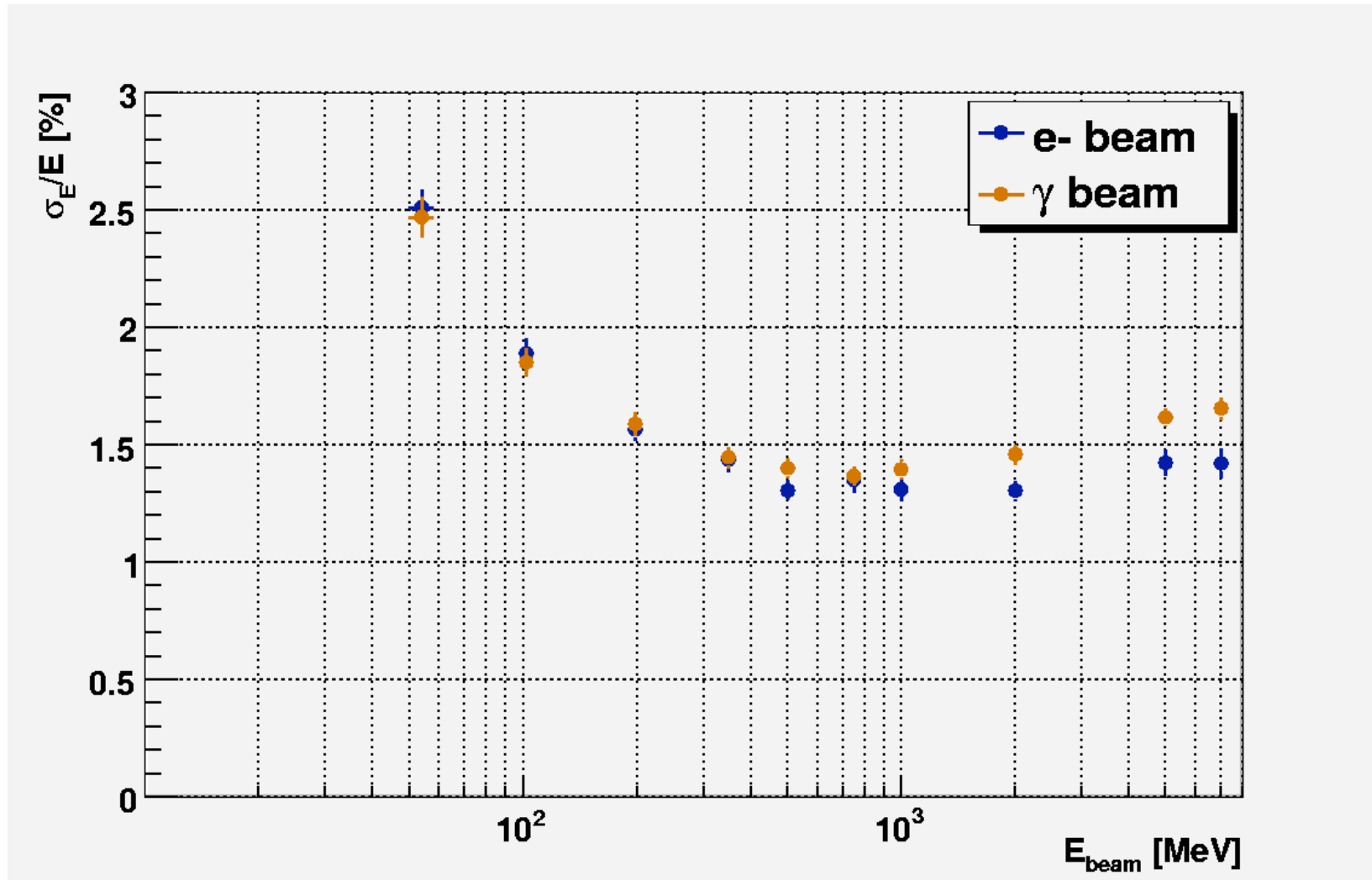
Energy Resolution vs Energy (log scale): e-



- The best representation is given by the single parameters fit (par0, par1, par2 for measured energy distribution)
- The fit with sqrt(E) seems to give a better agreement







Conclusions

- Next steps
 - Study of the cluster size and transverse shower development
 - Angular resolution
 - Hadron showers
- How to implement the the parameterisation in the Fast Simulatio code ?