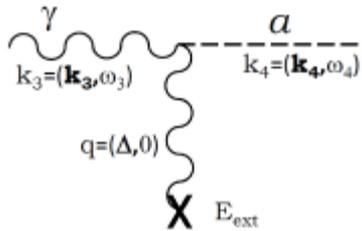


Axions, ALPs and other  
astroparticles in stellar interiors  
and  
the importance of precise nuclear  
reaction rates

Oscar Straniero  
INAF-Teramo  
INFN-Napoli -> LNGS  
(LUNA collaboration)

LUNA (MV), o più in generale gli esperimenti di astrofisica nucleare, non producono (direttamente) risultati di “nuova fisica”, ma possono rendere felice un sacco di gente che cercano nuova fisica.

# A promising case: Axion cooling in stellar interiors



Primakoff

Based on

<http://arxiv.org/abs/1406.6053>

The axion-photon Lagrangian is

$$\mathcal{L} = -\frac{g_{a\gamma}}{4} F\tilde{F} = g_{a\gamma} \mathbf{E} \cdot \mathbf{B} \quad (1)$$

The electromagnetic field has a radial and an external component. So,  $\mathbf{E} = \mathbf{E}_{\text{ext}} + \mathbf{E}_{\text{rad}}$  and  $\mathbf{B} = \mathbf{B}_{\text{ext}} + \mathbf{B}_{\text{rad}}$ . Of all the terms, we keep only

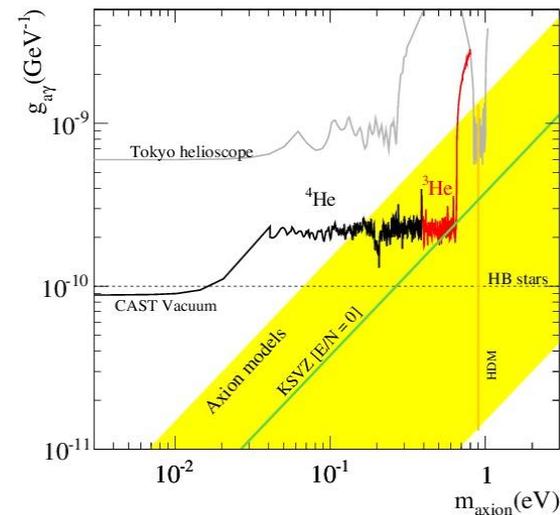
$$\mathcal{L} = g_{a\gamma} \mathbf{E}_{\text{ext}} \cdot \mathbf{B}_{\text{rad}} = g_{a\gamma} \mathbf{E}_{\text{ext}} \cdot \nabla \times \mathbf{A}, \quad (2)$$

$$g_{a\gamma} = 2 \times 10^{-10} \text{ GeV}^{-1} \zeta (m_a/1 \text{ eV})^2$$

$\zeta=1$  in KSVZ model

# Solar Axions Telescope at CERN

The predicted solar axion spectrum is currently searched by the CERN Axion Solar Telescope (CAST) [23], looking for conversions into X-rays of solar axions in a dipole magnet directed towards the sun. CAST searches with vacuum inside the magnet bores achieved a limit of  $g_{a\gamma} \lesssim 0.88 \times 10^{-10} \text{ GeV}^{-1}$  for  $m_a \lesssim 0.02 \text{ eV}$  [23], an excellent constraint for very light ALPs. For realistic QCD axions, CAST has explored the mass range up to 1.17 eV, providing the bound  $g_{a\gamma} \lesssim 2.3 - 3.3 \times 10^{-10} \text{ GeV}^{-1}$  at 95 % CL, by using  $^4\text{He}$  [24] and  $^3\text{He}$  [25, 26] as buffer gas.



# Scattering cross section

$$\sigma = \frac{1}{8\pi} \int_{-1}^1 |\mathcal{M}|^2 dx = \frac{(Ze g_{a\gamma})^2}{16\pi} \int_{-1}^1 \frac{|F(\mathbf{q})|^2}{q^4} |\mathbf{k}_4 \times \mathbf{k}_3|^2 dx. \quad (9)$$

To calculate the cross section, Eq. (9), we now use the following kinematic relations:

- $|\mathbf{k}_4| = \omega_4 = \omega_3,$
- $|\mathbf{k}_3| = \sqrt{\omega_3^2 - \omega_{\text{pl}}^2},$
- $|\mathbf{k}_4 \times \mathbf{k}_3|^2 = |\mathbf{k}_4|^2 |\mathbf{k}_3|^2 \sin^2(\mathbf{k}_4, \mathbf{k}_3) = \omega_3^2 (\omega_3^2 - \omega_{\text{pl}}^2) (1 - x^2),$
- $|\mathbf{q}|^2 = |\mathbf{k}_4 - \mathbf{k}_3|^2 = |\mathbf{k}_4|^2 + |\mathbf{k}_3|^2 - 2x|\mathbf{k}_4||\mathbf{k}_3| = 2\omega_3^2 - \omega_{\text{pl}}^2 - 2x\omega_3\sqrt{\omega_3^2 - \omega_{\text{pl}}^2},$

In these expressions<sup>1</sup>,  $\omega_{\text{pl}}^2 = 4\pi\alpha n_e/m_e$  is the plasma frequency which changes the dispersion relations of the photon in a plasma.<sup>2</sup>

*Non-degenerate electrons* 
$$\sigma = \frac{(Ze g_{a\gamma})^2}{64\pi} I(y, y_0, y_1) \quad (14)$$

$$I = \int_{-1}^1 \frac{1-x^2}{(s+r-x)(r-x)} dx = \frac{r^2-1}{s} \ln\left(\frac{r-1}{r+1}\right) + \frac{(r+s)^2-1}{s} \ln\left(\frac{s+r+1}{s+r-1}\right) - 2. \quad (15)$$

*Energy loss rate* 
$$\varepsilon_{\text{nd}} = \frac{n_t}{\rho\pi^2} \int_{\omega_{\text{pl}}}^{\infty} \frac{\omega_3^2 \sqrt{\omega_3^2 - \omega_{\text{pl}}^2} \sigma}{e^{\omega_3/T} - 1} d\omega_3 = \frac{(Z^2 n_t) g_{a\gamma}^2 \alpha T^4}{16\rho\pi^2} \int_{y_0}^{\infty} \frac{y^2 \sqrt{y^2 - y_0^2}}{e^y - 1} I dy,$$

# Axions energy loss (erg/g/ s)

$$\left\{ \begin{array}{l}
 \varepsilon_{\text{nd}} = 7.1 \times 10^{-52} g_{10}^2 \left( \frac{T^7}{\rho} \right) y_1^2 f(y_0, y_1), \\
 \varepsilon_{\text{ions}} = 7.1 \times 10^{-52} g_{10}^2 \left( \frac{T^7}{\rho} \right) y_{\text{ions}}^2 f(y_0, y_{\text{ions}}), \\
 \varepsilon_{\text{el}} = 4.7 \times 10^{-31} g_{10}^2 R_{\text{deg}} \left( \frac{T^4}{\mu_e} \right) f(y_0, y_{\text{TF}}), \\
 \varepsilon_{\text{deg}} = \varepsilon_{\text{ions}} + \varepsilon_{\text{el}}, \\
 \varepsilon_{\text{Tot}} = (1 - w)\varepsilon_{\text{nd}} + w\varepsilon_{\text{deg}}.
 \end{array} \right. \quad \left\{ \begin{array}{l}
 \zeta = \frac{3.01 \times 10^5}{T} \left( \frac{\rho}{\mu_e} \right)^{2/3}, \\
 w = \frac{1}{\pi} \arctan(\zeta - 3) + \frac{1}{2}.
 \end{array} \right.$$

$$R_{\text{deg}} \simeq \frac{1.5}{\text{Max}(1.5, \zeta)}$$

$$\left\{ \begin{array}{l}
 y_0 = \frac{3.33 \times 10^5}{T} \frac{(\rho/\mu_e)^{1/2}}{(1 + (1.019 \times 10^{-6} \rho/\mu_e)^{2/3})^{1/4}}, \\
 y_1 = 2.57 \times 10^{10} \left[ \frac{\sum_{\text{ions}} (Z_j^2 + Z_j) X_j}{A_j} \right]^{1/2} \left( \frac{\rho_0}{T_0^3} \right)^{1/2}, \\
 y_{\text{ions}} = \frac{\kappa_{\text{ions}}}{T} = 2.57 \times 10^{10} \left( \frac{\sum_{\text{ions}} Z_j^2 X_j}{A_j} \right)^{1/2} \left( \frac{\rho}{T^3} \right)^{1/2}, \\
 y_{\text{TF}} = \frac{5.74 \times 10^7}{T} \left( \frac{\rho}{\mu_e} \right)^{1/6}.
 \end{array} \right.$$

$$f(y_0, y_*) = \frac{100}{1 + y_*^2} \frac{1 + y_0^2}{1 + e^{y_0}} g(y_0, y_*),$$

# Axion e-loss rate, $T_8=0.5, 1, 2$

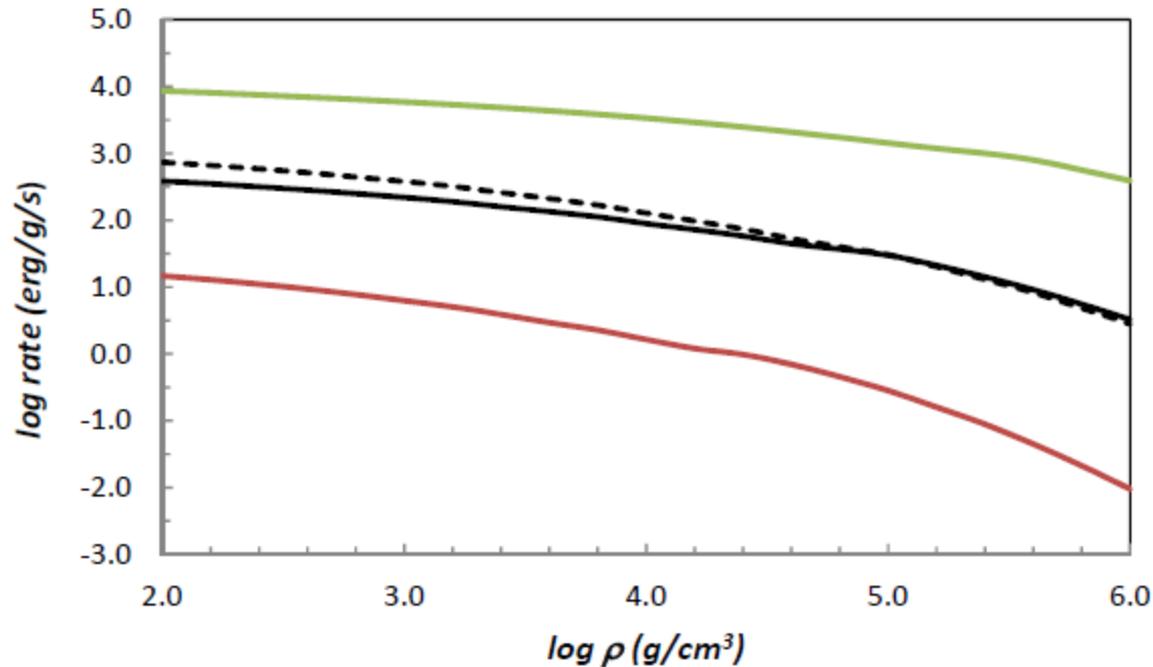
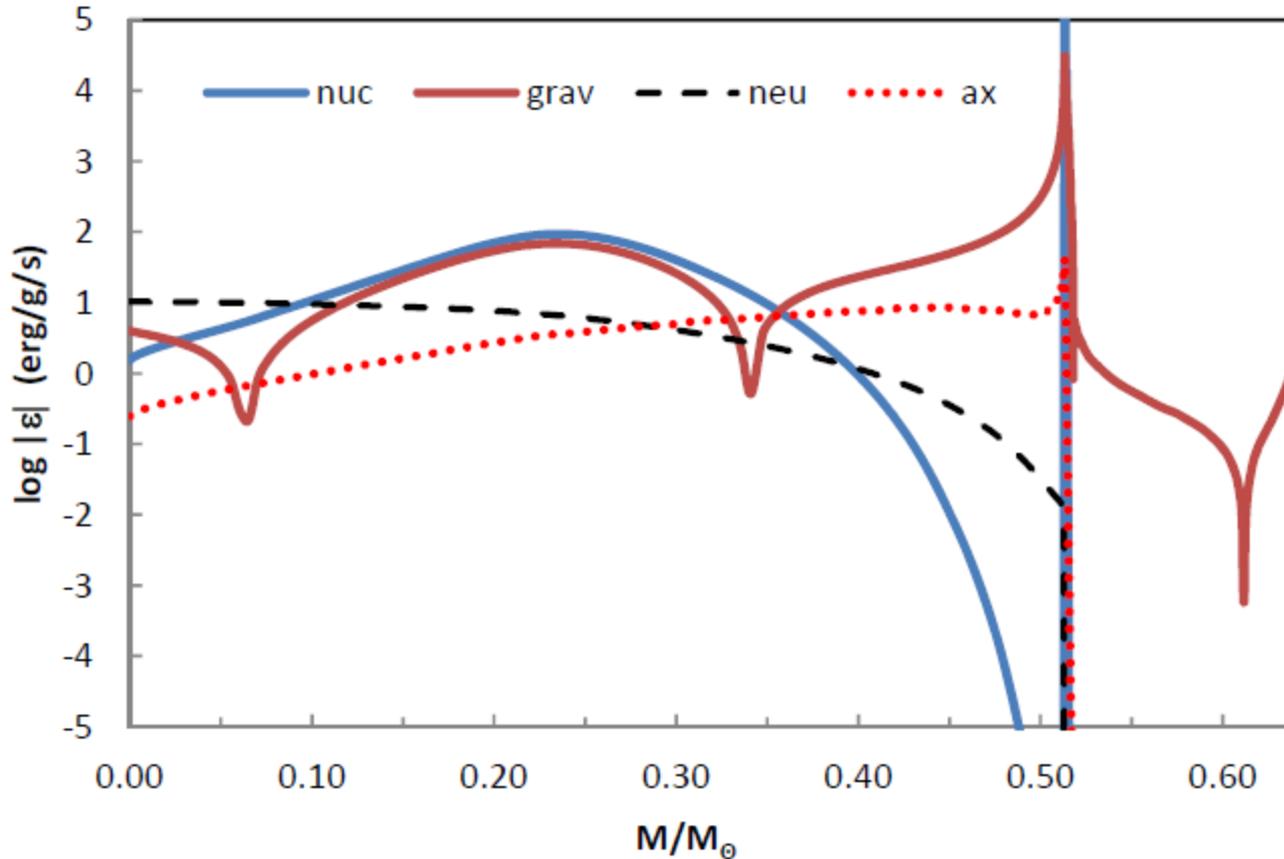


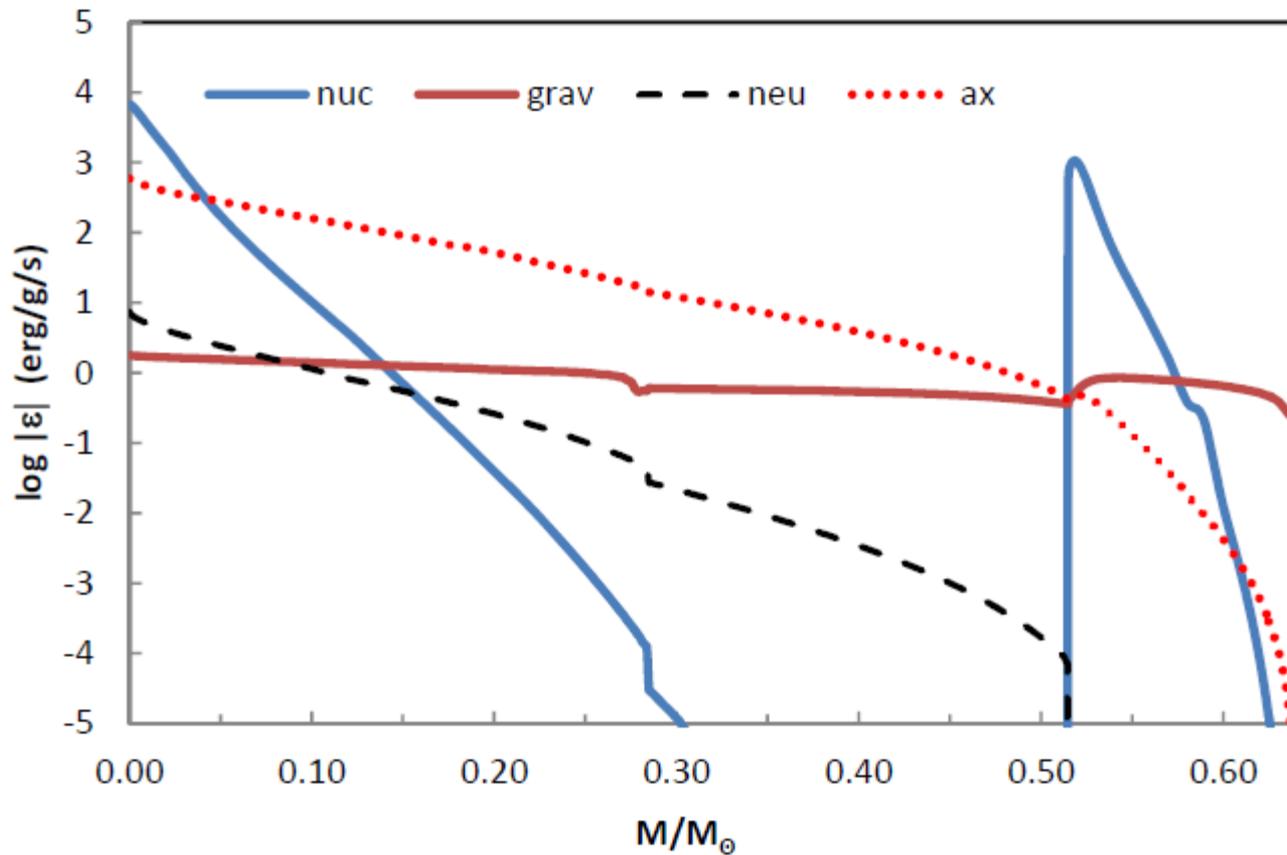
Fig. 2. Solid lines: axion production rate versus density for a pure He mixture and  $T= 5 \times 10^7$  K (red),  $10^8$  K (black) and  $2 \times 10^8$  K (green). Dashed line:  $T= 10^8$ , but for pure C.

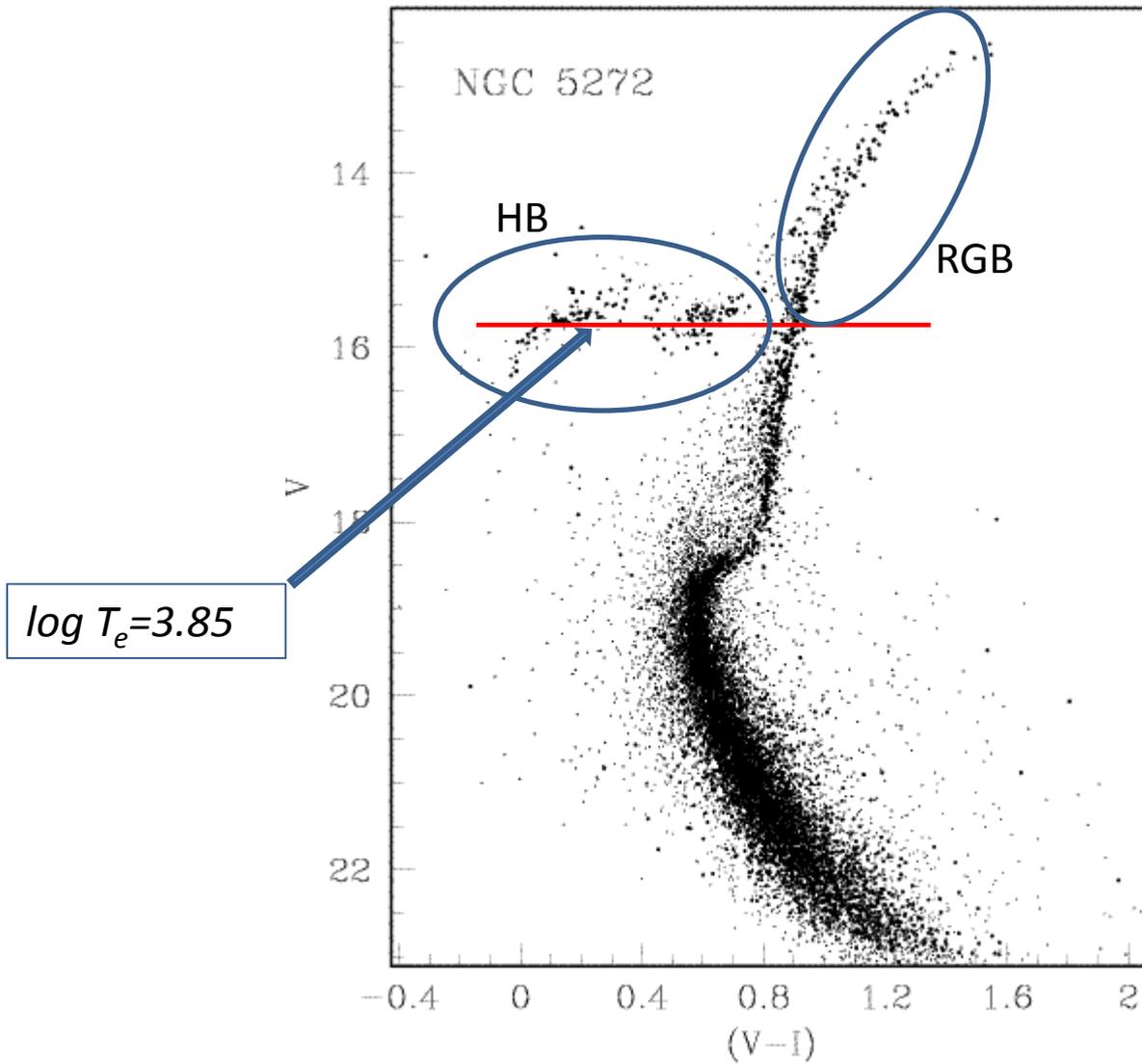
# 0.82 $M_{\odot}$ : Just before the He-flash (RGB tip)



$$g_{\alpha\gamma} = 10^{-10} \text{ GeV}^{-1}$$

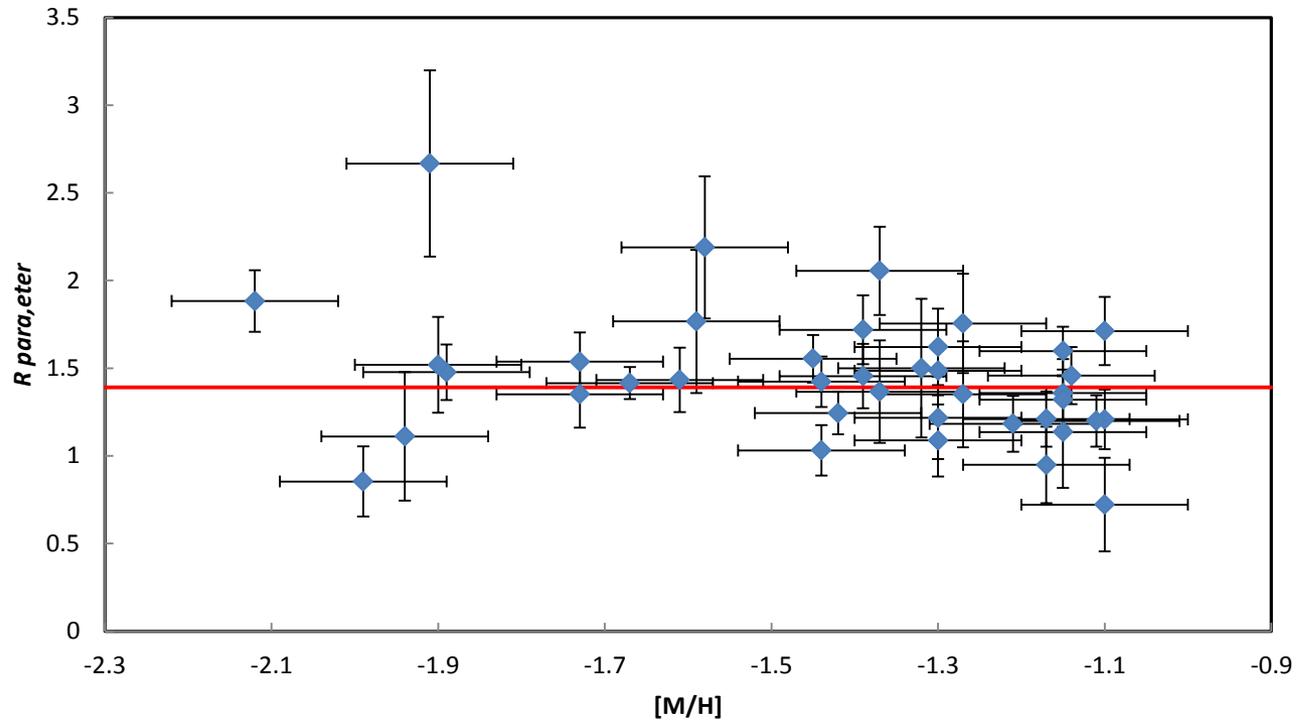
# Core He burning (HB)





$$R = \frac{N_{HB}}{N_{RGB}}$$

# 39 Galactic Globular Clusters



$$\langle R_{GC} \rangle = 1.39 \pm 0.03 \text{ (68\% CL)}$$

$$R_{th}(g_{a\gamma}, Y) = 6.26 \times Y - 0.41 \times g_{a\gamma}^2 - 0.12$$

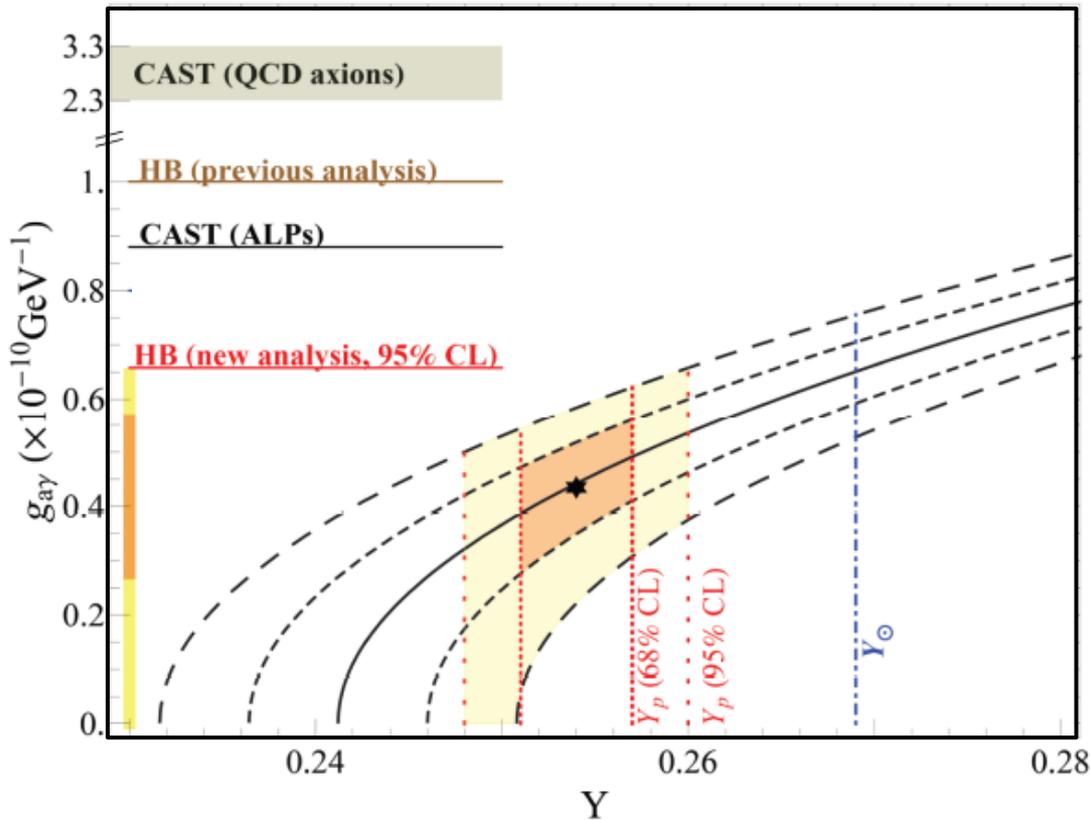
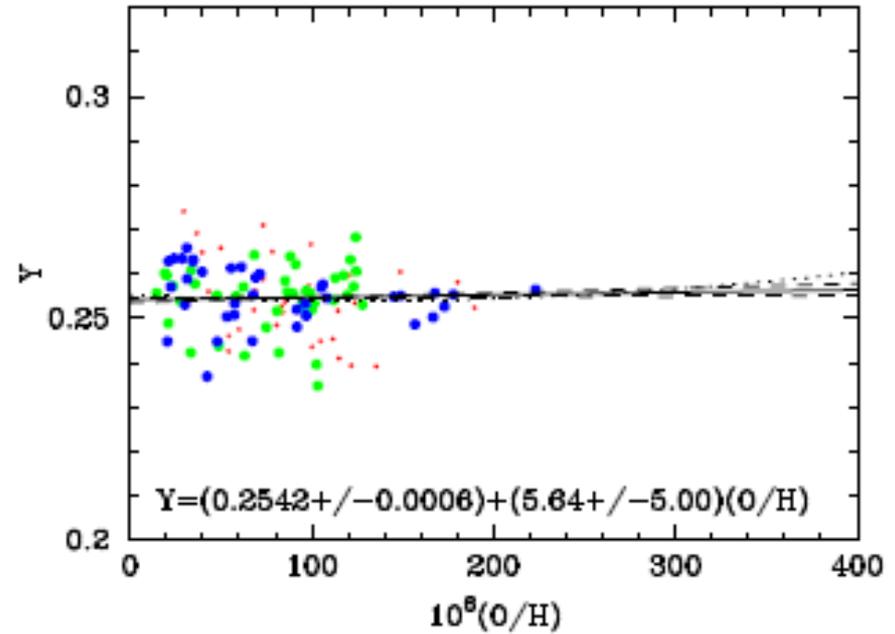
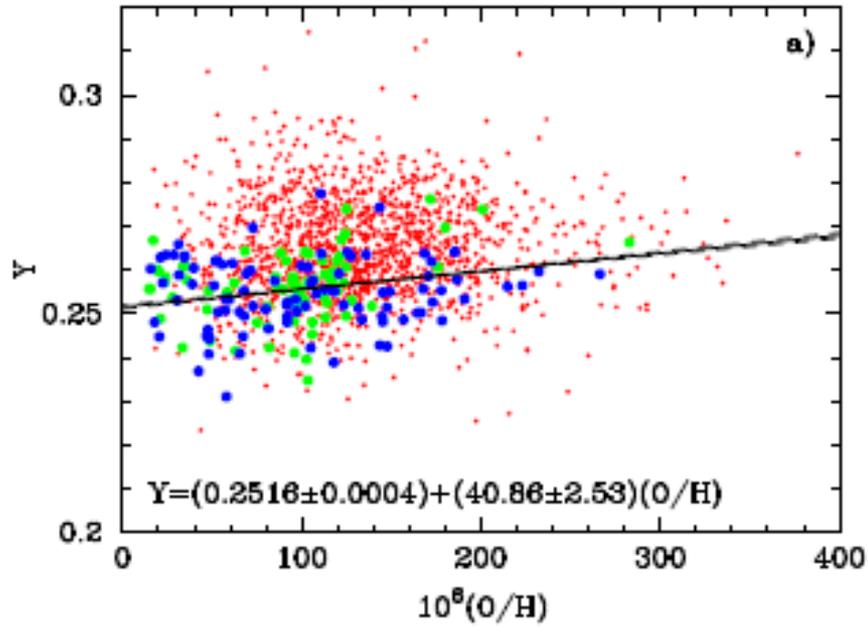


TABLE I: axion-photon coupling bounds

		R	Y	$g_{10}$
bounds from low-Z II regions	up 95%	1.33	0.260	0.66
	up 68%	1.36	0.257	0.57
	central value	1.39	0.254	0.45
	low 68%	1.42	0.251	0.29
	low 95%	1.45	0.248	0.00
bounds from SBBN	up 95%	1.33	0.2478	0.50
	up 68%	1.36	0.2475	0.42
	central value	1.39	0.2472	0.31
	low 68%	1.42	0.2469	0.15
	low 95%	1.45	0.2466	0.00
bounds from $Y_{\odot}$	up 95%	1.33	0.269	0.76
	up 68%	1.36	0.269	0.71

$$g_{a\gamma} = 0.45_{-0.16}^{+0.12} \times 10^{-10} \text{ GeV}^{-1} \quad (68\% \text{ CL}) ,$$

# *Y from low-Z HII extragalactic region*



Izotov et al. 2013

Axion cooling  
competes with the  
nuclear energy  
production

*Gamow's peak energy*

**T = 70 MK (RGB)**

14N+p      65 KeV

**T = 200 MK (He-burning)**

12C+α      300 KeV

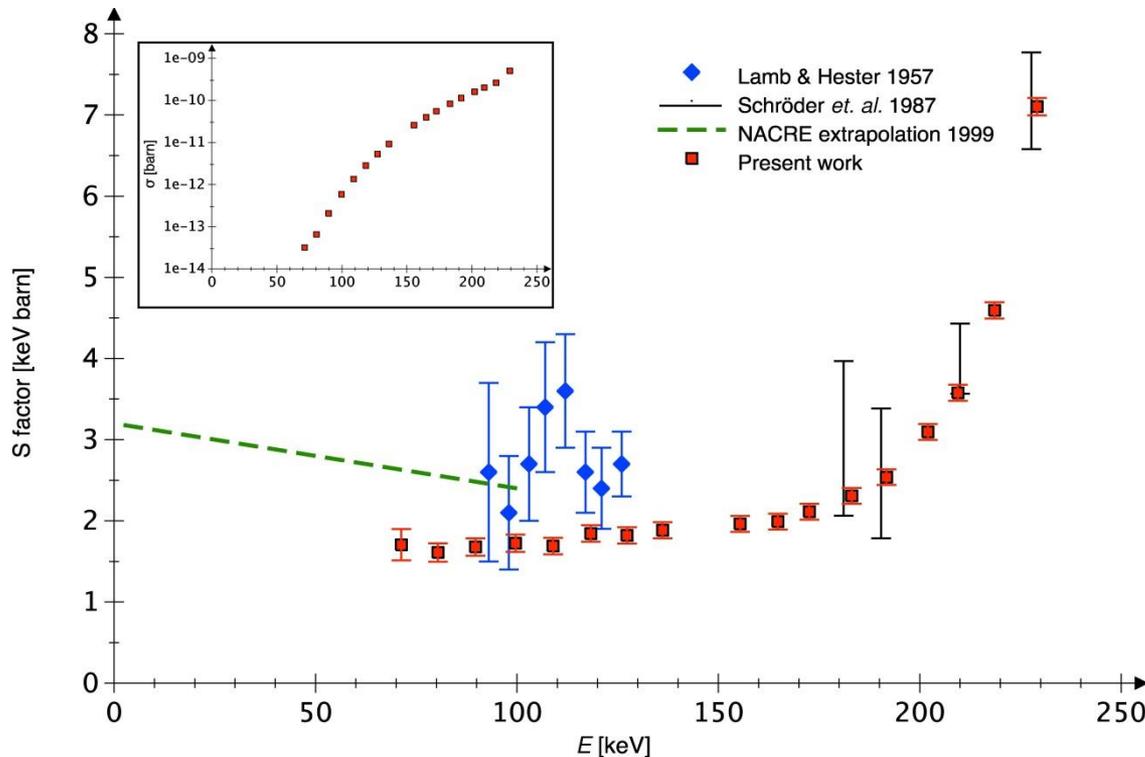
**T = 500 MK (C-burning)**

12C+12C    1.5 MeV

$$E_0 = \left( \frac{bKT}{2} \right)^{1/2}$$

- $^{14}\text{N}(p,\gamma)^{15}\text{O}$       LUNA400 (LUNA MV)
- 3α      (?)
- $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$       main target LUNA MV
- $^{12}\text{C}(^2\text{C},\gamma)^{24}\text{Mg}^*$       LUNA MV ?

# $^{14}\text{N}(p,\gamma)^{15}\text{O}$ the bottleneck of CNO



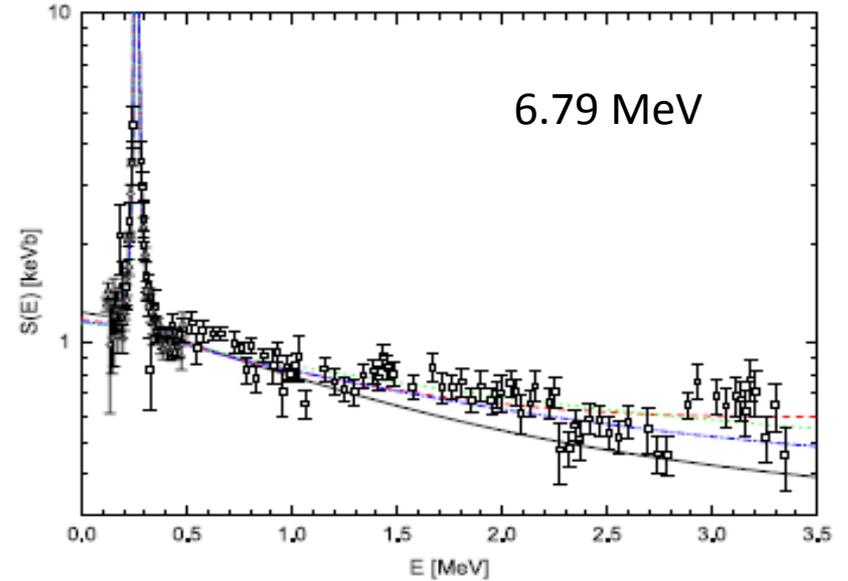
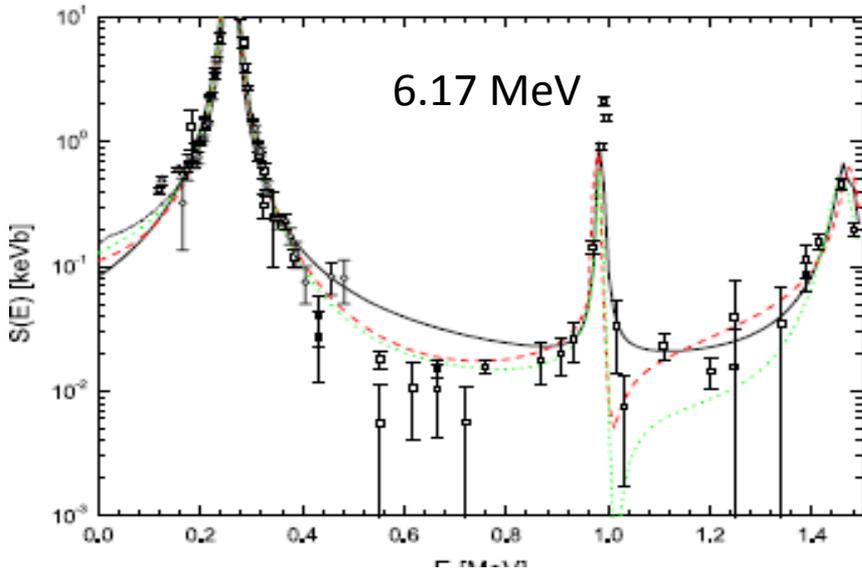
$E_{\text{CM}}$ [keV]	$E_x$ [keV]	$J^\pi$
2187	9484	$3/2^+$
987	8284	$3/2^+$
7297	7556	$1/2^+$
259	7276	$7/2^+$
$^{14}\text{N} + p$	6859	$5/2^+$
-506	6791	$3/2^+$
-1121	6172	$3/2^-$
-2117	5241	$5/2^+$
	5181	$1/2^+$
	0	$1/2^-$

$^{15}\text{O}$

## LUNA

Formicola et al. 2005  
Imbriani et al. 2005

# From Adelberger et al. 2011

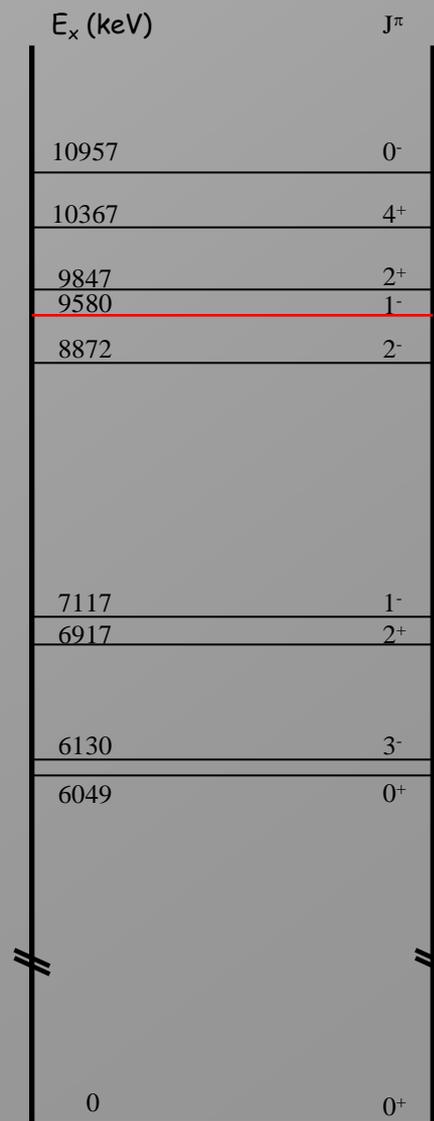
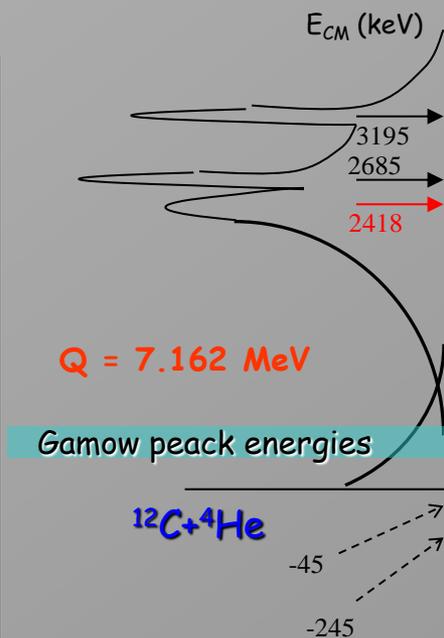


***A unique setup for a large range of  $E$ : possible with LUNA MV***

$N_a \langle \sigma, v \rangle$  ( $10^{-15} \text{ cm}^3 \text{ mol}^{-1} \text{ s}^{-1}$ )  
for  $T_9 = 0.2$

	Low	Adop.	high
<b>Kunz et al 2001</b>	<b>5.25</b>	<b>7.58</b>	<b>10.2</b>
<b>Buchman n 1996</b>	<b>3.04</b>	<b>7.04</b>	<b>13.04</b>
<b>NACRE</b>	<b>5.44</b>	<b>9.11</b>	<b>12.8</b>
<b>CF88</b>		<b>4.74</b>	
<b>CF85</b>		<b>11.3</b>	

Not an error bar



$^{16}\text{O}$   
level scheme

# $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$

At the Gamow peak around  $E \sim 300$  keV the cross section is dominated by ground state capture proceeding through two subthreshold resonances with  $J^\pi = 1^-$  and  $2^+$ . Those interfere with contributions from higher lying states and the direct capture process. In addition cascade transitions take place. The current estimates of the astrophysical cross section are based on R-Matrix analyses, taking into account direct measurements at higher energies ( $E > 1$  MeV), elastic scattering data and the  $\beta$ -delayed  $\alpha$ -spectrum of  $^{16}\text{N}$  (providing information on the reduced width of the subthreshold  $1^-$  state).

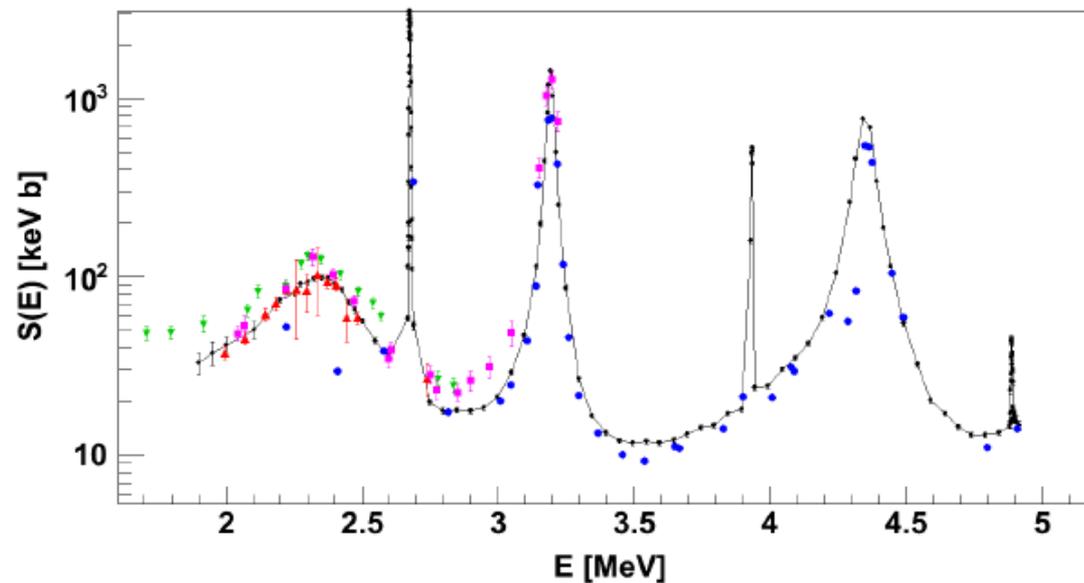


Figure 6  $^{12}\text{C}(\alpha,\gamma)^{16}\text{O}$  total cross section as measured by the RMS experiments ERNA (black dots with line to guide the eye, [5]) and DRAGON (solid blue circles, [21]) compared to the sum of all  $\gamma$ -ray transitions from the measurements of Kunz et al. (solid red triangles-up, [24][25]), Kettner et al. (solid magenta squares, [23]) and Redder et al. (solid green triangles-down, [22]). Good agreement is found between ERNA and Kunz et al., while the DRAGON data points show larger deviations around the resonances at 2.4 and 4.4 MeV.