### PHYSICS PERSPECTIVES ON W, Z AND QCD

Fabio Cossutti – INFN Trieste On behalf of the Standard Model working group

Workshop LTS1 2014 – La Biodola, 23/05/2014

#### Many presentations in the parallel session relevant for this topics

Thursday, 22 May 2014

- 15:00 15:15 Introduzione 15' Speakers: Stefano Forte (MI), Aleandro Nisati (ROMA1), Giampiero Passarino (Universita' di Torino), Roberto Tenchini (PI)
- 15:15 15:45 Fisica Higgs a LHC 30' Speakers: Paolo Giacomelli (BO), Dr. Biagio Di Micco (ROMA3), Stefano Rosati (ROMA1)
- 15:45 16:15 VV scattering e VBF *30'* Speakers: Pietro Govoni (MIB), Chiara Mariotti (TO), Chiara Maria Roda (PI)
- 16:15 16:45 **Prospettive fisica W, Z, QCD** *30'* Speakers: Alberto Mengarelli (BO), Fabio Cossutti (TS), Giancarlo Panizzo (UD)
- 16:45 17:15 Prospettive fisica del top *30'* Speakers: Patrizia Azzi (PD), Marina Cobal (UD)
- 17:15 17:35 coffee break
- 17:35 17:55 Fisica a ILC/CLIC 20' Speaker: Barbara Mele (ROMA1)
- 17:55 18:15Fisica a FCC (ee+pp) 20'Speaker:Roberto Tenchini (PI)
- 18:15 18:30Fisica a gamma-gamma colliders: Sapphire 15'Speaker:Marco Zanetti (CERN)
- 18:30 18:45 Fisica a LHeC (ep colliders) 15' Speaker: Monica D'Onofrio
- 18:45 19:00Fisica a e+e- bassa energia 15'Speaker:Graziano Venanzoni (LNF)
- 19:00 19:30 Discussione fisica a progetti futuri 30'









## W, Z, QCD: what is really hot for the future?

- Standard Model studies in ≥ 2014 mean indirect search of new physics
  - i.e. no precision for precision' sake, if new physics is hard to be accessed directly, this can be an early discovery tool
  - Otherwise important to characterize which new physics we might have seen
- Electroweak precision measurements
  - M<sub>W</sub>, sin<sup>2</sup>(θ<sub>eff</sub>), ...
  - $\alpha_{\text{EM}}$  and  $\alpha_{\text{S}}$  important inputs for global electroweak fits
- Study of the multi-boson couplings
  - Fundamental test of the SM gauge sector: TGCs, QGCs
  - Direct connection with precision Higgs physics: VV scattering
- QCD: fundamental ingredients for the program above
  - Besides interesting in its own
  - No precision physics at hadron colliders without precise knowledge of PDFs and radiative corrections

### ELECTROWEAK PRECISION MEASUREMENTS

### Precision observables and global fits after (a/the) Higgs boson discovery



Plot inspired by Eberhardt et al. [arXiv:1209.1101]

If the LHC Higgs boson is the SM one, global EW fit over-constrained: new level of precision accessible Eur. Phys. J. C72, 2205 (2012)



## Precision observables and global fits after (a/the) Higgs boson discovery



#### Medium term: W mass at hadronic colliders



### Long term: W mass at lepton colliders

#### - The winning method: $\sigma_{WW}$ scan at production threshold

$\Delta M_W ~[{ m MeV}]$	LEP2	ILC	ILC	$e^+e^-$	TLEP
$\sqrt{s}  [\text{GeV}]$	161	161	161	161	161
${\cal L}~[{ m fb}^{-1}]$	0.040	100	480	600	$3000 \times 4$
$P(e^{-}) ~[\%]$	0	90	90	0	0
$P(e^+)$ [%]	0	60	60	0	0
systematics	70			?	< 0.5
statistics	200			2.3?	0.5
experimental total	210	3.9	1.9	>2.3	< 0.7
beam energy	13	0.8-2.0	0.8-2.0	0.8-2.0	0.1
radiative corrections	-	1.0	1.0	1.0	1.0
total	210	4.1-4.5	2.3-2.9	>2.6-3.2	< 1.2

#### Possible alternatives interesting but less competitive:

- Kinematic reconstruction à la LEP2 > 3 MeV
  - Just semi-leptonic, use statistics to avoid FSI issues
- Hadronic mass in WW + single W: almost comparable
  - Single W abundant at higher  $\sqrt{s}$
  - Different systematics, interesting cross check

- Polarized beams
- ILC statistics allows good beam energy measurement in situ
- TLEP: resonant depolarization

#### NNLO radiative correction matter Worst at higher energies



### Medium term: $sin^2(\theta_{eff})$ at hadronic colliders

- How to challenge LEP1/SLD precision before ILC/TLEP?
  - $\delta_{\text{LEP1/SLD}} = 1.6 \times 10^{-4} \text{ vs } \delta_{\text{theo}} \sim 7 \times 10^{-5} \text{ (} \Rightarrow 3 \times 10^{-5} \text{ with } m_{\text{t}} \text{ and } \Delta \alpha_{\text{had}} \text{ reduced by a factor } \sim 2 \text{)}$
- · Key problem: the quark direction definition introduces a dilution and PDF dependence

0.224

0.2235

0.223

0.222

0.2215

- Tevatron : use the incoming proton direction
- LHC : use the II boost z component, more PDF dependent (from sea)
- δ<sub>CDF</sub> (×10<sup>-4</sup>): 9 →4 ; δ<sub>ATLAS</sub>: 11×10<sup>-4</sup>
  - CDF event weighting method: compensate acceptance, drop detector systematics
  - ATLAS use of forward electrons: much smaller dilution, compensating statistics

$\Delta \sin^2 \theta_{\rm eff}^l \ [10^{-5}]$	ATLAS	$\operatorname{CMS}$	LHC/per experiment		
$\sqrt{s}$ [TeV]	7	7	8	14	14
$\mathcal{L}[\mathrm{fb}^{-1}]$	4.8	1.1	20	300	3000
PDF	70	130	35	25	10
higher order corr.	20	110	20	15	10
other systematics	70	181	60 (35)	20	15
statistical	40	200	20	5	2
Total	108	319	75~(57)	<mark>3</mark> 6	21

With expected improvements on PDFs, forward lepton tagging and smart analyses hadronic machines could approach LEP1/SLD precision



## Medium term: A<sup>b,0</sup><sub>FB</sub> via A<sup>b, LHC</sup><sub>FB</sub>

- Highest discrepancy in SM Global Fits
  - δLEP1 = 16×10-4 vs δtheo ~ 4×10-4
  - pull value 2.5  $\sigma$  = 40 ‰
- No experiment measured it after LEP ! Define:

$$A_{FB}^{b,\text{LHC}} = \frac{\sigma_F - \sigma_B}{\sigma_F + \sigma_B}$$

- experimentally: adapt A<sub>FB</sub> to LHC, where F/B defined event by event Z rest frame by the lepton angle wrt b<sub>iet</sub> axis
- dilution due to b<sub>iet</sub> charge measurement
- Simplified feasibility studies set an upper bound on both statistic and systematic uncertainties
- Open field of research both from experimental and theoretical points of view (only LO prediction @ LHC): reduced uncertainties from PDFs and scale variations



s-channel

u-channel

	$\delta A^{b,LHC}_{FB}$ [%]	LHC	combined
	$\sqrt{s}  [\text{TeV}]$	14	14
t i	$\mathcal{L} ~[{ m fb}^{-1}]$	400	3000
	PDF	5	2
	other systematics	20	15
	statistical	$\leq 95$	$\leq 40$
u	Total	$\leq 97$	$\leq 43$

#### 23/05/2014

### Long term: $sin^2(\theta_{eff})$ at lepton colliders

- All LEP1/SLD studies repeated at ILC-GigaZ and TLEP
- But the 10<sup>-5</sup> barrier can be attacked with A<sub>LR</sub>
- Key tool: longitudinal beam polarization
  - Electrons only (à la SLC): absolute polarization measurement limit
    - Possible  $\delta P/P \sim 0.25\% \iff \delta sin^2(\theta_{eff}) \sim 5 \times 10^{-5}$
  - Both  $e^+ / e^-$ : use the Blondel scheme

 $A_{\rm LR} = \sqrt{\frac{(\sigma_{++} + \sigma_{-+} - \sigma_{+-} - \sigma_{--})(-\sigma_{++} + \sigma_{-+} - \sigma_{+-} + \sigma_{--})}{(\sigma_{++} + \sigma_{-+} + \sigma_{+-} + \sigma_{--})(-\sigma_{++} + \sigma_{-+} + \sigma_{+-} - \sigma_{--})}},$ 

- Still a relative polarization measurement is needed
- δA<sub>IR</sub> ~ 2.5 × 10<sup>-5</sup>
- Beam energy/beamstrahlung knowledge also matters
  - $A_{LR}$  slope due to  $\gamma$ -Z interference ~ 2×10<sup>-2</sup> / GeV
  - δA<sub>LR</sub> ~ 10<sup>-4</sup>

$\Delta \sin^2 \theta_{\rm eff}^l \ [10^{-5}]$	ILC/GigaZ	$\mathrm{TLEP}(\mathrm{Z})$
$\sqrt{s}  [\text{GeV}]$	91	91
$\mathcal{L}[\mathrm{fb}^{-1}]$	30	$3000{\times}4$
systematics	1.1	0.2
statistical	0.5	0.1
higher order corr.	?	?
beam energy	0.5	0.05
$\operatorname{total}$	1.3	0.3

- $\delta sin^2(\theta_{\rm eff}) \sim 10^{\text{-5}}$  claimed to be achievable at GigaZ
  - for P<sup>-</sup> ~ 80%, P<sup>+</sup> 30%
- TLEP: better precision on E<sub>beam</sub> with resonant depolarization
  - but spin rotators needed for polarization combinations
  - $\delta sin^2(\theta_{eff}) > 10^{-5}$

### TeraZ @ TLEP: LEP1 reloaded?

#### JHEP 1401 164 (2014)

Quantity	Physics	Present	Measured	Statistical	Systematic	Key	Challenge
		precision	from	uncertainty	uncertainty		
$m_{\rm Z}~({\rm keV})$	Input	$91187500 \pm 2100$	Z Line shape scan	5~(6)	< 100	$E_{\rm beam}$ calibration	QED corrections
$\Gamma_{\rm Z} ~({\rm keV})$	$\Delta \rho \ ({ m not} \ \Delta \alpha_{ m had})$	$2495200 \pm 2300$	Z Line shape scan	8(10)	< 100	$E_{\rm beam}$ calibration	QED corrections
$R_\ell$	$lpha_{ m s}, \delta_{ m b}$	$20.767 \pm 0.025$	Z Peak	0.00010(12)	< 0.001	Statistics	QED corrections
$N_{ u}$	PMNS Unitarity,	$2.984 \pm 0.008$	Z Peak	0.00008(10)	< 0.004		Bhabha scat.
$N_{ u}$	$\dots$ and sterile $\nu$ 's	$2.92\pm0.05$	$ m Z\gamma,161GeV$	$0.0010\ (12)$	< 0.001	Statistics	
$R_{ m b}$	$\delta_{ m b}$	$0.21629 \pm 0.00066$	Z Peak	0.000003 (4)	< 0.000060	Statistics, small IP	Hemisphere correlations
$A_{\rm LR}$	$\Delta  ho,  \epsilon_3,  \Delta lpha_{ m had}$	$0.1514 \pm 0.0022$	Z peak, polarized	0.000015(18)	< 0.000015	4 bunch scheme, 2exp	Design experiment
$m_{\rm W} \ ({ m MeV})$	$\Delta ho~,\epsilon_3,\epsilon_2,\Deltalpha_{ m had}$	$80385 \pm 15$	WW threshold scan	$0.3 \ (0.4)$	< 0.5	$E_{\rm beam},  {\rm Statistics}$	QED corrections
$m_{ m top}~({ m MeV})$	Input	$173200\pm900$	$t\bar{t}$ threshold scan	10(12)	< 10	Statistics	Theory interpretation

- 1 year at Z peak 40% polarization + 1 year Z scan (50% at peak)
- The availability of resonant depolarization might allow to repeat the Z line shape study with a precision better by a factor ~ 10 at least
  - Linear colliders haven't this tool
- A large Z → bb sample combined with an adequate detector would allow a similar improvement to study R<sub>b</sub>

## Possible achievements in global fits



### MULTI BOSONS MEASUREMENTS

# Multi-boson final states: couplings, Higgs and new physics

$$\begin{split} \mathcal{L} &= -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \frac{1}{4} Z_{\mu\nu} Z^{\mu\nu} - \frac{1}{2} (F_W^{\dagger})_{\mu\nu} (F_W)^{\mu\nu} \\ &+ \frac{1}{2} \partial_{\mu} H \partial^{\mu} H + \frac{1}{2} M_Z^2 Z_{\mu} Z^{\mu} + M_W^2 (W_-)_{\mu} (W_+)^{\mu} - \frac{1}{2} m_H^2 H^2 \\ &+ \overline{\rho} (i \mathcal{A} - m_+)_{\overline{\nu}} + i \overline{\nu} \frac{\varphi}{\varphi} u \\ &+ i g (\partial_{\mu} W_{+\nu} - \partial_{\nu} W_{+\mu}) W_-^{\nu} (\cos \theta_W Z^{\mu} + \sin \theta_W A^{\mu}) \\ &+ i g (\partial_{\mu} W_{-\nu} - \partial_{\nu} W_{-\mu}) W_+^{\mu} (\cos \theta_W Z^{\nu} + \sin \theta_W A^{\nu}) \\ &+ i g (W_-^{\mu} W_+^{\nu} - W_+^{\mu} W_-^{\nu}) \partial_{\mu} (\cos \theta_W Z_{\nu} + \sin \theta_W A_{\nu}) \\ &- g^2 W_{+\mu} W_-^{\mu} (\cos \theta_W Z_{\mu} + \sin \theta_W A_{\mu}) (\cos \theta_W Z_{\nu} + \sin \theta_W A_{\nu}) \\ &+ g^2 W_+^{\nu} W_-^{\mu} (\cos \theta_W Z_{\mu} + \sin \theta_W A_{\mu}) (\cos \theta_W Z_{\nu} + \sin \theta_W A_{\nu}) \\ &+ \frac{g^2}{2} W_{-\nu} W_{+\mu} (W_-^{\nu} W_+^{\mu} - W_-^{\mu} W_+^{\nu}) \cdot e \bar{e} \gamma_{\mu} e A^{\mu} \\ &- \frac{g}{2 \sqrt{s}} \bigg[ \bar{\nu} \gamma_{\mu} (1 - \gamma^5) \nu + \bar{e} \gamma_{\mu} (g_V - g_A \gamma^5) e \bigg] Z^{\mu} \\ &- \frac{g}{2 \sqrt{s}} \bigg[ \bar{\nu} \gamma_{\mu} (1 - \gamma^5) e W_+^{\mu} + \bar{e} \gamma_{\mu} (1 - \gamma^5) \nu W_-^{\mu} \bigg] \\ &+ \frac{g^2}{4} \bigg( 2v H + H^2 \bigg) W_{-\mu} W_+^{\mu} + \frac{(g^2 + g I^2)}{8} \bigg( 2v H + H^2 \bigg) Z_{\mu} Z^{\mu} \\ &- \frac{\lambda}{4} \bigg( 4v H^3 + H^4 \bigg) - \frac{m_e}{v} \bar{e} e H \end{split}$$

- Gauge boson couplings: basic characteristics of a non-abelian theory
  - In SM triple and quartic GC
- Deviation from SM, i.e. anomalous couplings: new physics evidence
  - Similar study to EW global fit
- Vector boson scattering: need the Higgs to be unitarized as energy increase
  - Fundamental test of the SM
  - Bridge between Higgs and W/Z physics

# Multi-boson final states: couplings, Higgs and new physics



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- Di- and tri-bosons: cross sections quite smaller than for single boson production
  - High luminosity is fundamental for precision studies
- VBS sensitivity to new physics grows with energy
  - Hadronic machines have a plus here
  - Forward region becomes fundamental

#### Anomalous couplings in the Effective Field Theory approach

- Effective Field Theory: extend the SM Lagrangian with dimension 6, 8 operators
  - Describe effective interactions mediated by particles with mass at a scale A

$$\mathcal{L}_{EFT} = \mathcal{L}_{SM} + \sum_{i=WWW,W,B,\Phi W,\Phi B} \frac{c_i}{\Lambda^2} \mathcal{O}_i + \sum_{j=0,1} \frac{f_{S,j}}{\Lambda^4} \mathcal{O}_{S,j} + \sum_{j=0,...,9} \frac{f_{T,j}}{\Lambda^4} \mathcal{O}_{T,j} + \sum_{j=0,...,7} \frac{f_{M,j}}{\Lambda^4} \mathcal{O}_{M,j}$$
  
dimension 6 dimension 8

- If Λ >> experimentally accessible scale, i.e. O(1-2 TeV), the SM is a low (compared to Λ) effective theory
- Various representations of operators among different calculations, but relationships available for instance in arXiv.1310.6708
- Both TGC and QGC in dimension 6 operators, dimension 8 add genuine QGC
- Relationships also with the Lagrangian parameterizations used at LEP:

$$\mathcal{L} = ig_{WWV} \left( g_1^V (W_{\mu\nu}^+ W^{-\mu} - W^{+\mu} W_{\mu\nu}^-) V^{\nu} + \kappa_V W_{\mu}^+ W_{\nu}^- V^{\mu\nu} + \frac{\lambda_V}{M_W^2} W_{\mu}^{\nu+} W_{\nu}^{-\rho} V_{\rho}^{\mu} \right. \\ \left. + ig_4^V W_{\mu}^+ W_{\nu}^- (\partial^{\mu} V^{\nu} + \partial^{\nu} V^{\mu}) - ig_5^V \epsilon^{\mu\nu\rho\sigma} (W_{\mu}^+ \partial_{\rho} W_{\nu}^- - \partial_{\rho} W_{\mu}^+ W_{\nu}^-) V_{\sigma} \right. \\ \left. + \tilde{\kappa}_V W_{\mu}^+ W_{\nu}^- \tilde{V}^{\mu\nu} + \frac{\tilde{\lambda}_V}{m_W^2} W_{\mu}^{\nu+} W_{\nu}^{-\rho} \tilde{V}_{\rho}^{\mu} \right),$$

C,P conservation + electromagnetic gauge invariance Reduce to a minimal independent set  $\Delta g_1^Z$ ,  $\Delta \kappa_v$ ,  $\lambda_v$ 

$$\mathcal{L}_0 = -\frac{e^2}{16\pi\Lambda^2} a_0 F_{\mu\nu} F^{\mu\nu} \vec{W}^{\alpha} \vec{W}_{\alpha}$$
$$\mathcal{L}_c = -\frac{e^2}{16\pi\Lambda^2} a_c F_{\mu\alpha} F^{\mu\beta} \vec{W}^{\alpha} \vec{W}_{\beta}$$

### 4-fermions: charged Triple Gauge Couplings



- LHC already competitive on  $\lambda$  ,  $\Delta\kappa$ 

 κ-type couplings: mostly sensitive to differential distributions

 Cleaner environment in lepton colliders helps, ILC clearly winning

### λ-type couplings: strong √s dependence

- Sensitivity in high p<sub>T</sub> tail of diboson system, benefit from large statistics
- HL-LHC not much worse than ILC800
- HE-LHC could further improve

Obs.	Now	LHC 0.3/ab	HL-LHC 3/ab	ILC800
$\Delta g_1^{\ Z}$	[-5,2] ×10 <sup>-2</sup>	3×10 <sup>-3</sup>	2×10 <sup>-3</sup>	1.8×10 <sup>-4</sup>
κγ	[-10,7]×10 <sup>-</sup>	3×10 <sup>-2</sup>	1×10 <sup>-2</sup>	1.9×10 <sup>-4</sup>
$\lambda_{\gamma}$	[-6,2]×10 <sup>-2</sup>	9×10 <sup>-4</sup>	4×10 <sup>-4</sup>	2.6×10 <sup>-4</sup>

#### arXiv.1405.3841



- Quartic Gauge Couplings: from both di- (e.g. WW,WZ,ZZ) and tri-boson production (e.g. Ζγγ)
- Vector Boson Fusion/Scattering: characteristic emission of very forward jets, large jj mass, large rapidity gap (colourless objects in the central region)
- In SM unitarity of VBS cross section with increasing vs guaranteed by the Higgs boson
  - Fundamental test of SM, one of the flagship measurements for HL-LHC
  - Natural bridge between Higgs and W/Z studies
     W and non resonant
- With typical experimental cuts EWK VV cross sections O(~ 10 fb)

And  $\alpha_{s}^{2} \alpha_{EW}^{4} -$ 

The study of m(VV) in  $V_L V_L \rightarrow V_L V_L$  can probe whether the Higgs alone can describe the process of whether there is evidence for some new physics at higher scale, reducing the effective hVV coupling compared the SM by  $\sqrt{\delta}$ 

In practice there is also the transverse polarization to take into account, and the PDFs suppress the growth, so a precise measurement of the production rate at high mass is needed



#### ATL-PHYS-PUB-2013-006

#### CMS-FTR-13-006-PAS



Examples of possible new physics signal expectations

**HL-LHC projections for Snowmass 2013** 

### Limits on QGC

ATLAS projections for Snowmass 2013 Clear sensitivity gain with luminosity increase

Deremeter	Parameter dimension shannel			$300 {\rm ~fb^{-1}}$		$3000 \text{ fb}^{-1}$	
1 arameter	umension		$[H] [M_{UV} [HeV]]$	$5\sigma$	$95\%~{ m CL}$	$5\sigma$	$95\%~{ m CL}$
$c_{\Phi W}/\Lambda^2$	6	ZZ	1.9	$34 \text{ TeV}^{-2}$	$20 \text{ TeV}^{-2}$	$16 { m TeV}^{-2}$	$9.3 { m TeV^{-2}}$
$f_{S,0}/\Lambda^4$	8	$W^{\pm}W^{\pm}$	2.0	$10 { m TeV^{-4}}$	$6.8 \ { m TeV}^{-4}$	$4.5 { m TeV^{-4}}$	$0.8 { m TeV^{-4}}$
$f_{T,1}/\Lambda^4$	8	WZ	3.7	$1.3 \text{ TeV}^{-4}$	$0.7 \ { m TeV^{-4}}$	$0.6 { m TeV^{-4}}$	$0.3 { m TeV^{-4}}$
$f_{T,8}/\Lambda^4$	8	$Z\gamma\gamma$	12	$0.9 { m TeV^{-4}}$	$0.5 { m TeV^{-4}}$	$0.4 { m TeV^{-4}}$	$0.2 { m TeV^{-4}}$
$f_{T,9}/\Lambda^4$	8	$Z\gamma\gamma$	13	$2.0 { m TeV^{-4}}$	$0.9 { m TeV^{-4}}$	$0.7 { m TeV^{-4}}$	$0.3 { m TeV^{-4}}$

Kinematic selection satisfying unitarity

#### Lepton colliders not competitive on dimention-8 operators, LHC better by 1-2 orders of magnitude

- Limits in scale are model dependent
- From f<sub>S,0</sub> (WWWW) for simple models of bosonic resonances :

Type of resonance	LHC 3	$00 { m ~fb}^{-1}$	LHC $3000 {\rm ~fb^{-1}}$	
Type of resonance	$5\sigma$	$95\%~{ m CL}$	$5\sigma$	$95\%~{ m CL}$
scalar $\phi$	$1.8 \mathrm{TeV}$	$2.0 { m TeV}$	$2.2 { m TeV}$	3.3 TeV
vector $\rho$	$2.3~{ m TeV}$	$2.6~{ m TeV}$	$2.9~{ m TeV}$	$4.4~{ m TeV}$
tensor $f$	$3.2 { m TeV}$	$3.5~{ m TeV}$	$3.9 { m ~TeV}$	$6.0 { m TeV}$

#### Snowmass 2013, arXiv.1307.6708

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Lepton colliders not competitive on dimention-8 operators, LHC better by 1-2 orders of magnitude

Parameter	$\sqrt{s}$	$14 \mathrm{TeV}$	$14 { m ~TeV}$	$33 { m TeV}$	100 TeV
1 arameter	Lum.	$300 {\rm ~fb^{-1}}$		$3000 \text{ fb}^{-1}$	
$f / \sqrt{4} [T_{2}V - 4]$	$5\sigma$	$7300\ (830)$	3600(310)	$1900 \ (190)$	$750\ (120)$
JM,0/M [IEV ]	95% CL	4200(360)	1200(160)	660 (120)	71 (59)
$f$ $(\Lambda 4 [T_{0}V^{-4}]$	$5\sigma$	$7600\ (1600)$	3600~(680)	2100(340)	1000(220)
$J_{M,1}/\Lambda$ [Iev ]	95% CL	4500 (800)	1200(290)	770~(160)	240(126)
$f_{\rm res}/\Lambda^4$ [ToV <sup>-4</sup> ]	$5\sigma$	$3300\ (130)$	510(48)	310(26)	120(16)
$J_{M,2}/\Lambda$ [lev ]	95% CL	670  (56)	160(21)	110(13)	25 (10)
$f_{M,3}/\Lambda^4 \; [{ m TeV^{-4}}]$	$5\sigma$	2400(250)	720 (120)	320(66)	180(34)
	95% CL	820~(133)	$210 \ (52)$	130 (23)	38(15)



Sensitivity increase from 14 to 33 TeV

- ~ 1.2 2 for dim-6 (WZ,ZZ)
- ~ 12 for dim-8 (Zүү)
- Tribosons look very sensitive to  $\sqrt{s}$

### Photon-photon scattering and QGC

Very forward proton taggers for ATLAS and CMS at ~200 m from the i.p. allow the study of Central Exclusive Production of boson pairs
 Key additional tool for QGC studies



### Photon-photon scattering and QGC

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Strongly suppressed in SM



 $\mathcal{L}_{4\gamma} = \zeta_1^{\gamma} F_{\mu\nu} F^{\mu\nu} F_{\rho\sigma} F^{\rho\sigma} + \zeta_2^{\gamma} F_{\mu\nu} F^{\nu\rho} F_{\rho\lambda} F^{\lambda\mu}$ 

Luminosity	$300 {\rm ~fb}^{-1}$	$300 {\rm ~fb}^{-1}$	$300 \text{ fb}^{-1}$	$6000 \text{ fb}^{-1}$
pile-up $(\mu)$	50	50	50	200
coupling	$\geq 1$ conv. $\gamma$	$\geq 1$ conv. $\gamma$	all $\gamma$	all $\gamma$
$(\text{GeV}^{-4})$	$5 \sigma$	$95\%~{ m CL}$	95% CL	95% CL
$\zeta_1$ f.f.	$1 \cdot 10^{-13}$	$7 \cdot 10^{-14}$	$4 \cdot 10^{-14}$	$2 \cdot 10^{-14}$
$\zeta_1$ no f.f.	$3 \cdot 10^{-14}$	$2 \cdot 10^{-14}$	$1 \cdot 10^{-14}$	$6 \cdot 10^{-15}$
$\zeta_2$ f.f.	$3 \cdot 10^{-13}$	$1.5 \cdot 10^{-13}$	$8 \cdot 10^{-14}$	$4 \cdot 10^{-14}$
$\zeta_2$ no f.f.	$7 \cdot 10^{-14}$	$2\cdot 10^{-14}$	$2 \cdot 10^{-14}$	$1 \cdot 10^{-14}$

arXiv.1312.5153

### QCD MEASUREMENTS

### PDF: state of the art

- PDFs are the limiting factor in many predictions for hadronic colliders
  - $\sigma(gg \rightarrow H)$  has a ~ 8% uncertainty due to PDFs
  - $m_{W,} sin^2(\theta_{eff}),...$
- LHC data starts to be used on top of HERA/Tevatron
  - NNPDF 2.3 (also add QED)

For *gg* luminosity not so good agreement in the region of the EW scale between GLOBAL PDF SET

• For *qq* luminosity quite good agreement in the region of the EW scale between GLOBAL PDF SET

• Uncertainty blow up for large-mass final states



#### JHEP 1304, 125 (2013)



CMS,  $L = 4.7 \text{ fb}^{-1} \text{ at } \sqrt{\text{s}} = 7 \text{ TeV}$ 

offd [pb]

#### 23/05/2014

### PDF: new inputs from LHC

#### several new measurements available asymmetry 0.25 (b) p\_ > 35 GeV 10<sup>26</sup> 10<sup>24</sup> 10<sup>21</sup> 10<sup>18</sup> 10<sup>15</sup> 10<sup>15</sup> vstematic $\int dt = 0.20 \text{ ob}$ Jets cross section: - Data $0.3 \le |v| < 0.8 (x \cdot 10^{\circ})$ 0.2 ncertainties < 1.2 (x 10<sup>5</sup>) Charge a √s = 2.76 TeV NLO pQCD (CT10) $p_T < 800$ GeV sensitive to gluon $< 2.1 (\times 10^3)$ anti-k, R = 0.4© non-pert, corr $d = 2.8 (\times 10^{0})$ $8 \le |y| < 3.6 (\times 10^{\circ})$ $6 \le |y| < 4.4 (\times 10^{\circ})$ $p_{T} > 800$ GeV sensitive to quark 0.15 NLO FEWZ + NLO PDF. 68% CL CT10 0. NNPDF23 10 HERAPDF15 MSTW2008 10 MSTW2008CPdei 0.05 L 10<sup>3</sup> 0.5 1 1.5 2 W+c: sensitive to Muon ml W charge asymmetry shows strange quark sea 10<sup>-3</sup> discrepancies with old PDFs beyond DIS analyses 6 10<sup>-6</sup> Sensitivity to valence quarks in **Different conclusions** 10<sup>-3</sup> < x <10<sup>-1</sup> range 10<sup>2</sup> 2×10<sup>2</sup> 30 40 on s symmetry? p\_ [GeV] L = 5.0 fb<sup>-1</sup> at √s = 7 TeV CMS $p_{-}^{jet} > 25 \text{ GeV}, \text{ } m^{jet}\text{I} < 2.5$ Total uncertainty ATLAS $p_{\pm}^{l} > 25 \text{ GeV}, \ |\eta| < 2.1$ $Ldt = 4.6 \text{ fb}^{-1}$ Statistical uncertainty aMC@NLO CMS 2011 √s = 7 TeV Predictions: 107.7 ± 3.3 (stat.) ± 6.9 (syst.) pb NLO MCFM + NNLO PDF CT10 W⁺<del>c</del>-jet ■ MSTW08 100.7 $\frac{+1.8}{-2.2}$ ppp ( suppressed s(x) ) MSTW2008 NNPDF2.3 • CT10 ( part. suppressed s(x) ) $\vdash$ • 109.9 +7.7 pb O HERAPDF1.5 Data ▼ NNPDF23 ( suppressed s(x) ) 33.6 ± 0.9 ± 1.8 [pb] ATLAS-epWZ12 Stat ▲ NNPDF23<sub>coll</sub> 129.9 ± 15.1<sub>pof</sub> pb ( symmetric s(x) ) △ NNPDF2.3coll Stat+syst 30 50 100 150 20 40 50 10 60 70 $\sigma(W + c) [pb]$

### PDF: long(er) term wish list

- LHC is enlarging the range of processes which can be studied (see PDF4LHC workshops)
  - Gluon PDFs at small x still dominated by HERA, but useful contributions can come on a wide range
    - Isolated photons, photons+jets: medium x gluons (QCD Compton scattering)
    - Vector bosons + jets (high p<sub>T</sub>): small to medium x gluons (qg dominating at p<sub>T</sub> > 100 GeV)
    - Low mass Drell-Yan: small x gluons (if resummed calculations available; LHCb particularly sensitive in its acceptance)
    - tt production (known at NNLO): large x gluons (important for high mass BSM)
  - Quark PDFs
    - Ratios of Ws and Z at high  $p_{\rm T}$  : quark-antiquark separation (with small uncertainties)
    - High mass Drell-Yan: large x quarks (again high mass BSM would benefit)



### The strong coupling constant

- Basic input of global EW fits and many predictions
  - E.g. H → bb width
  - State of the art:  $\alpha_{S}(M_{Z}) = 0.1185 \pm 0.0006$  (PDG 2013)
    - Driven by lattice precision
    - If  $\delta_{\text{lattice}} \sim 0.0004$  can experimental determinations follow?
- Hadronic machines: NNLO  $\sigma(tt)$  is a powerful tool
  - CMS: 0.1178 +0.0033 -0.0032
  - Further improvements expected by LHC with NNLO predictions, but hard to go below 1%
    - Still useful measurements at high Q<sup>2</sup>, complementary to the bulk of determinations
- The most promising approach: R<sub>I</sub>=Γ(Z→ hadrons)/Γ(Z→ II) at GigaZ@ILC (0.0004) / TeraZ@TLEP (0.0001)
  - With the Higgs mass known the parametric uncertainty on  $\alpha_{S}$  from  $R_{I}$  dominated by the experimental measurement
  - At TLEP also W branching ratios competitive
  - Other approaches at ~1%





## PDF and α<sub>S</sub> measurement potential from LHeC

- e(60 GeV) colliding on LHC protons
  - Very low x (10<sup>-6</sup>) and high x Q<sup>2</sup> (> 0.3, ~ 10<sup>5</sup>) accessible, hot regions where gluon PDF is unconstrained by HERA





- Large improvements expected in both the low and high x range
- Complementary measurements would allow to disentangle all quark contributions
- $\alpha_{\rm S}$  from NC CC measurements at 0.2%
  - Theoretical NNNLO predictions uncertainty ~ 0.5%

#### J. Phys. G 39 075001 (2012)

#### 23/05/2014

#### Final remarks and hints for discussion

- The utility of the W/Z precision measurements depends on the scenario
  - If new physics directly discovered, they are a tool to characterize it
  - Otherwise they are a tool to probe regions kinematically inaccessible
  - $m_W$  and sin<sup>2</sup>( $\theta_{eff}$ ) have different sensitivities to oblique corrections
- Boson couplings are sensitive to physics at high scales
  - Increasing both precision and energy allows to push sensitivity to new physics at higher scales
  - VV scattering study is a must, especially after the Higgs discovery
- The leptonic machines are preferable for the former, while hadronic machines look winning on QGC/VBS
- Hadronic machines require lots of ancillary QCD work to give the best results, both theoretical and experimental
  - PDFs first of all

### BACKUP

#### QCD higher order corrections

- State of the art: multi-body NLO predictions merged and matched with PS
- NNLO calculations are essential to reduce theoretical uncertainties
   also in PDF analysis
- Up to last year, only small number of processes relevant for PDFs available at NNLO
- Recent important progress was made on some key processes
  - NNLO inclusive jet production in the gluon-gluon channel has been completed (arxiv: 1310.3993), jet data essential in PDF fits for gluons and large-x quarks
- In order to match the desired precision:
  - NNLO QCD 2 → 2(3) often needed
    - σ(Higgs/W/Z) even NNNLO
  - At high energies EW and QCD corrections comparable, NLO EW needed: how to combine?
    - high  $p_T$  regions make predictions sensitive to EW already at 14 TeV
  - High jet multiplicities requires both NLO accuracies and higher order resummation
    - Geneva approach
  - NNLO + PS?

### **FCC-hh possibilities**

#### Coupling evolution in Drell Yan: effect of New Physics



### High energy regime allows to push studies in the far tails of distributions

#### see R. Tenchini's talk



### $sin^{2}(\theta_{eff})$ @ LHeC

#### Scale dependence of $\sin^2\theta_W$

#### Preliminary sketch



#### See M. d'Onofio's talk

#### Electroweak Physics in ep (II)

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### $\alpha_{em}(M_7)$ from e<sup>+</sup>e<sup>-</sup> for global fits

Hadronic contribution to  $\alpha_{em}(M_Z)$  (Adler function)



 $\Delta \alpha_{had}^{(5)}(M_{\pi}^2) = 0.027498 \pm 0.000135$ 

rel. err.

0.6 %

4.1 %

4.2 %

2.2~%

5.1 %

0.0~%

1.1~%

1.1~%

abs. err.

7.2 %

68.7 %

13.8~%

10.2~%

0.1~%

0.0%

100.0 %

100.0~%

Courtesy of F. Jegerlehner

#### See G. Venanzoni's talk

Basic input for theoretical predictions both for EW global fit and muon g-2

e<sup>+</sup>e<sup>-</sup> data into hadrons: current and future activities



