



UNIVERSITÉ  
DE GENÈVE

Jet



Center for Astroparticle Physics  
GENEVA



# On the validity of Effective Field Theory for Dark Matter searches at the LHC

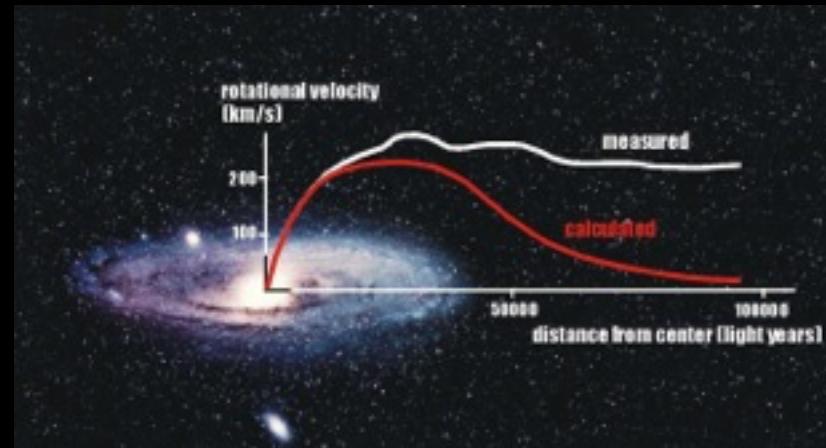
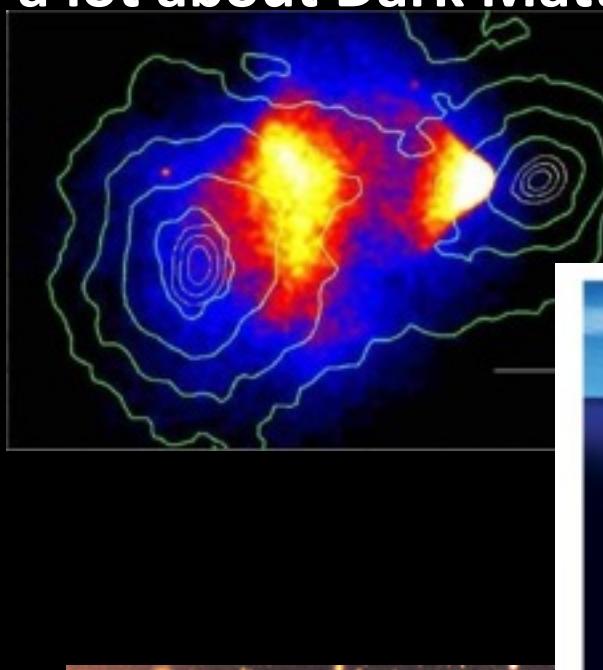
IFAE 2014 - Gran Sasso - 9-11/04/2014

DM DM

Based on 1307.2253, 1402.1275 and others in preparation

EM with G. Busoni, A. De Simone, J. Gramling, T. Jacques, T. Riotto

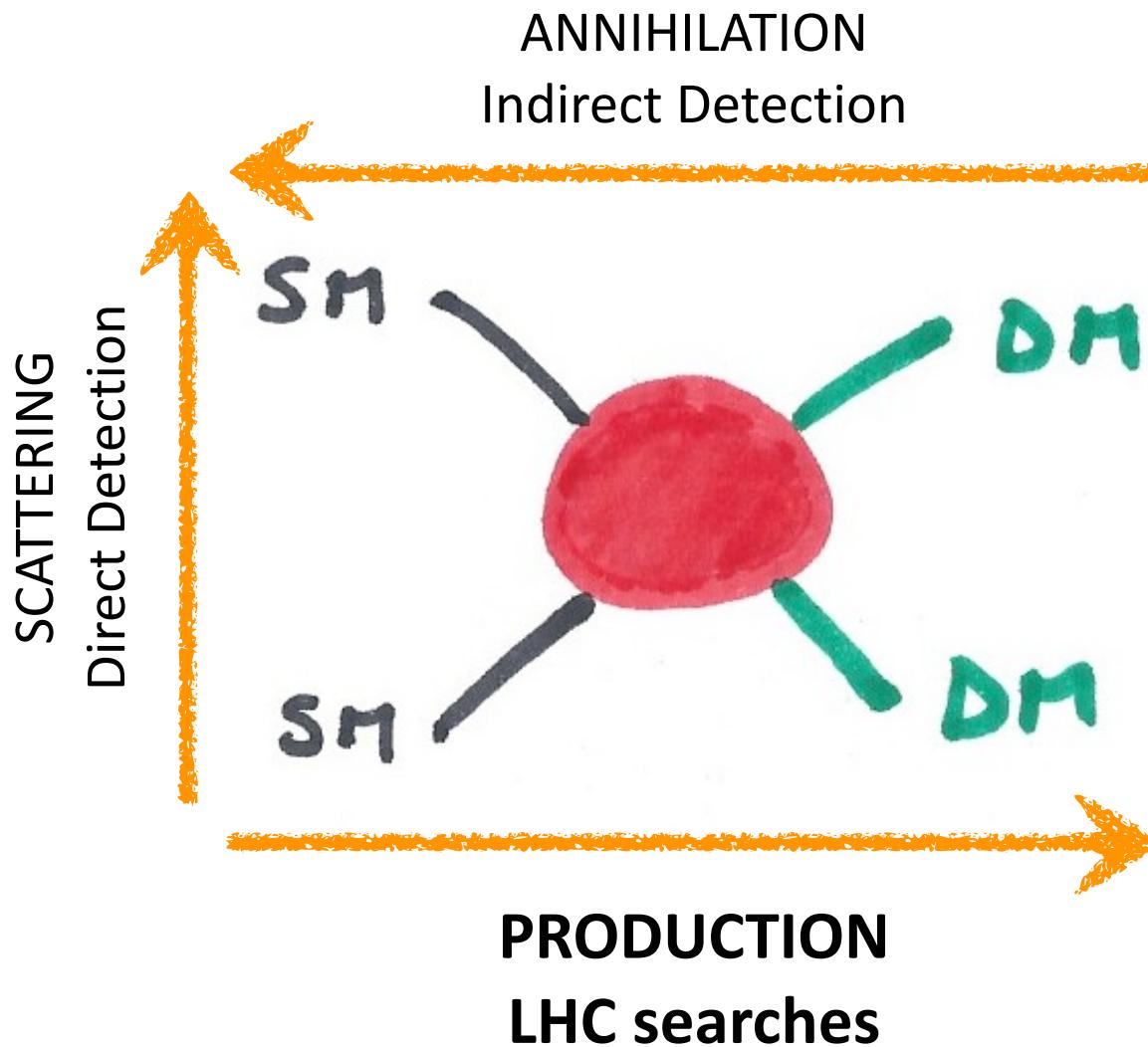
# Astrophysics and cosmology tell us a lot about Dark Matter...



...but we still have  
no evidence about its particle nature!



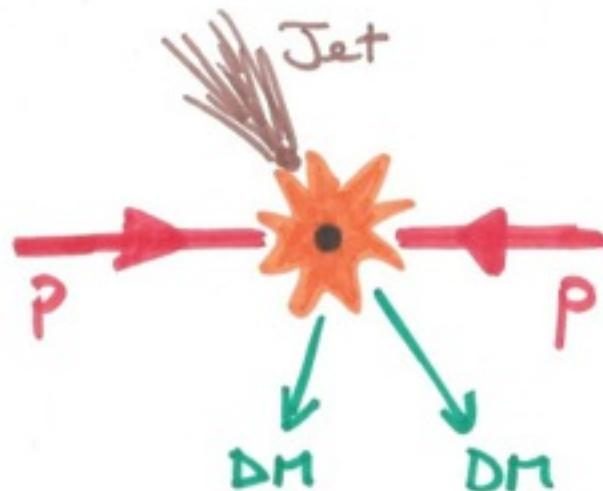
# How can we test DM interactions with the Standard Model?



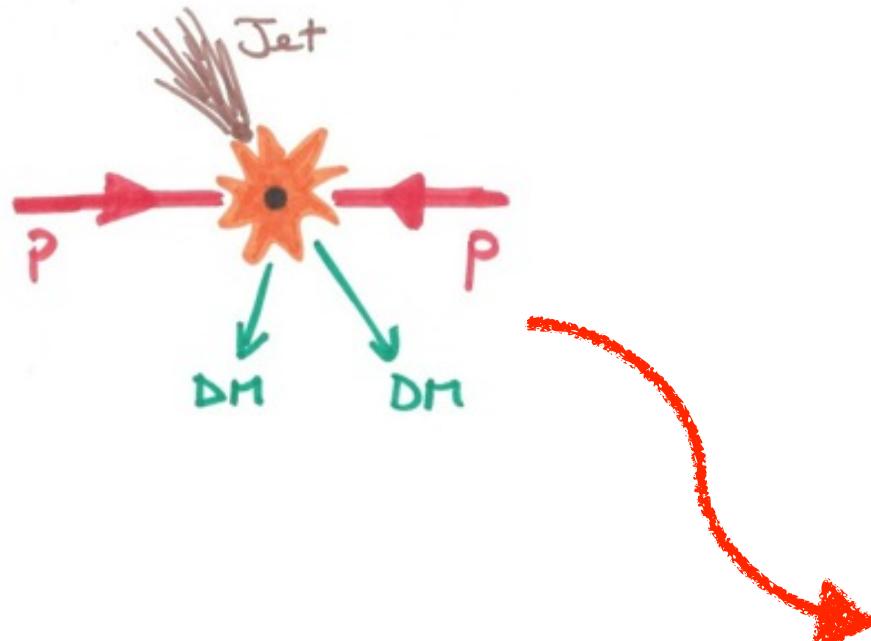
# DM at LHC

Produce and detect Dark Matter particles is one of the main goal of the LHC.  
But...how do we look for them?

- DM is non interacting, so an event like  $p+p \rightarrow DM+DM$  is invisible
- A good channel to look at is  $p+p \rightarrow DM+DM+jet/\text{photon}$
- Invisible DM particles “appear” as missing momentum in the transverse plane



At the parton level the process is



$$q\bar{q} \rightarrow \chi\chi + g$$

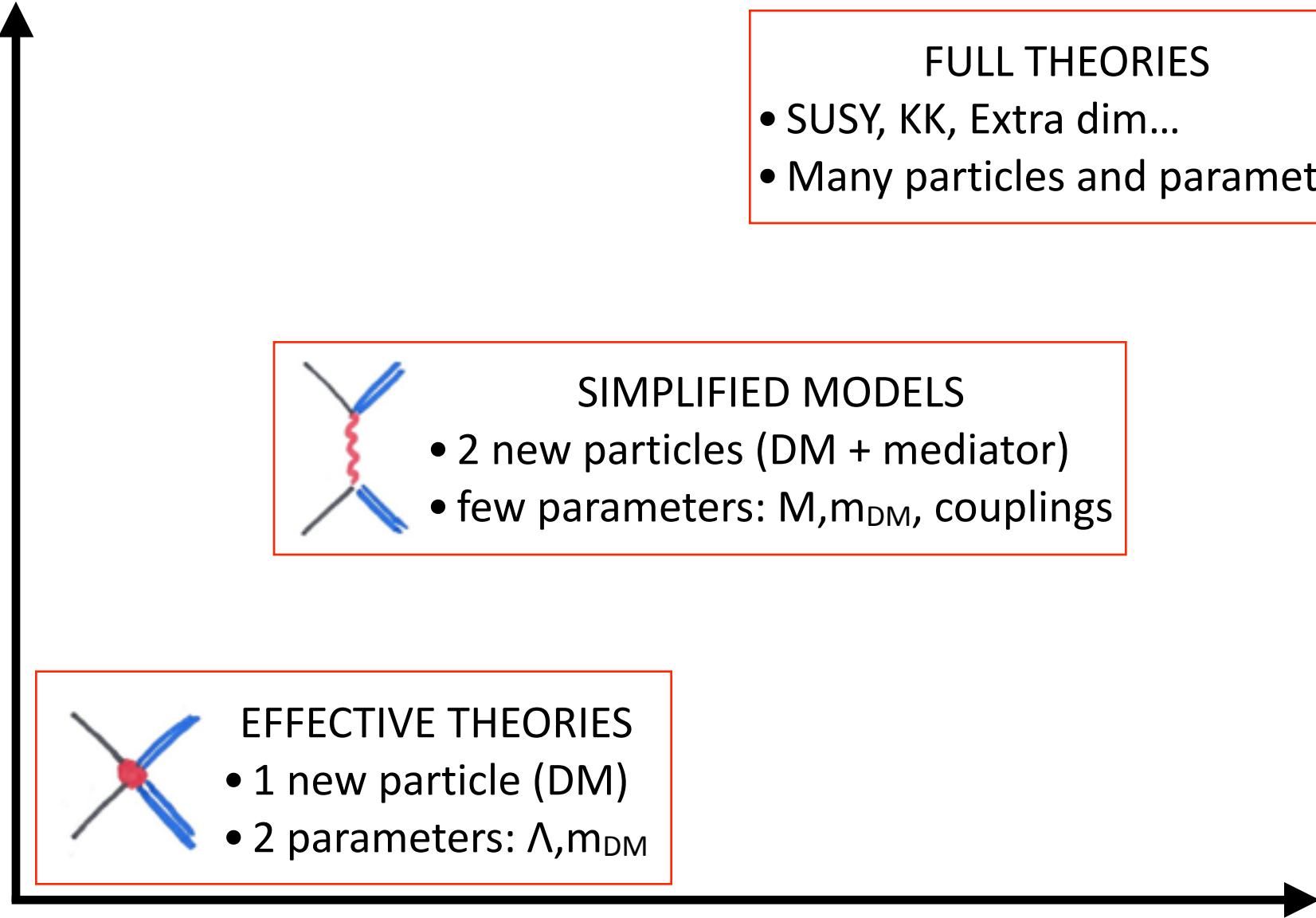
$$gg \rightarrow \chi\chi + g$$

$$qg \rightarrow \chi\chi + q$$

$$\bar{q}g \rightarrow \chi\chi + \bar{q}$$

How do we describe  
these interactions??

Fullness

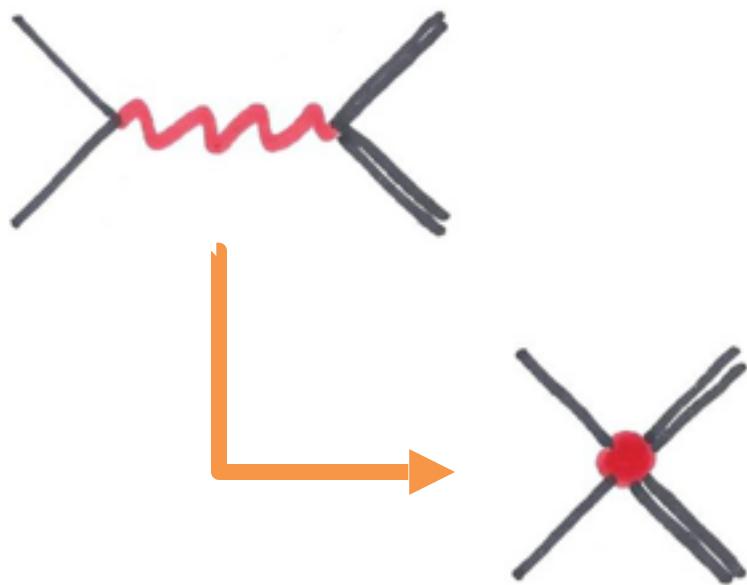


Complexity

# Domain of validity of EFT

“True” condition

$$Q_{\text{tr}}^2 < \Lambda^2$$



What people (Atlas, CMS) usually do...

- EFT is reliable if

$$\Lambda \equiv \frac{M}{\sqrt{g_q g_\chi}} > \frac{Q_{\text{tr}}}{\sqrt{g_q g_\chi}}$$

- To produce DM on shell

$$Q_{\text{tr}} > 2m_{\text{DM}}$$

- To remain in the perturbative regime

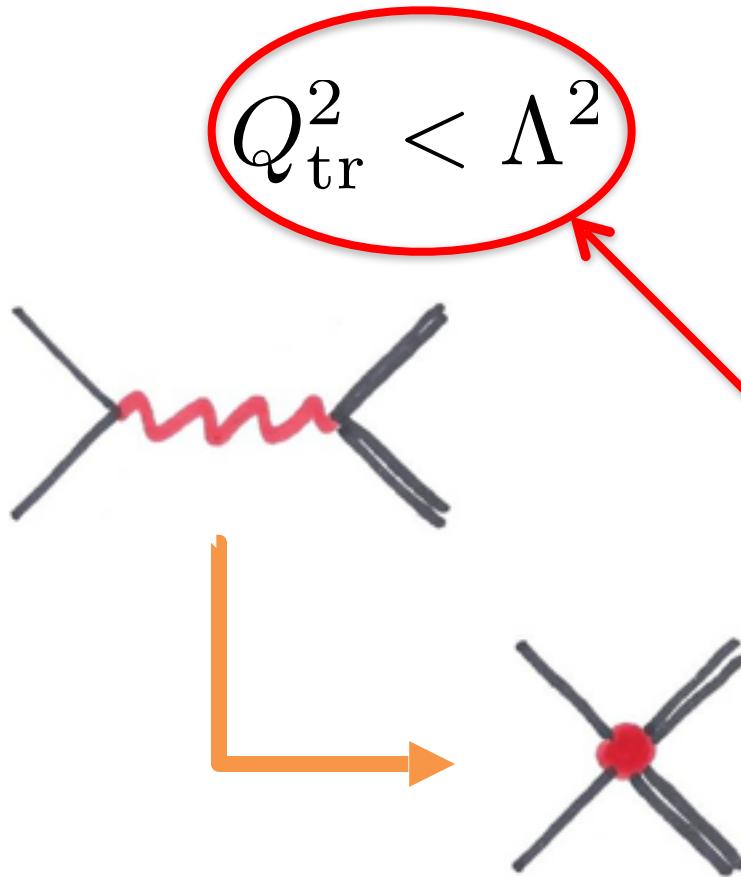
$$g's < 4\pi$$

- The applied condition is then

$$\Lambda > \frac{m_{\text{DM}}}{2\pi}$$

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- To remain in the perturbative regime  
 $g'$ 's  $< 4\pi$
- The applied condition is then

$$\Lambda > \frac{m_{\text{DM}}}{2\pi}$$

MUCH WEAKER!!

# Cross sections imposing $Q_{\text{tr}} < \Lambda$

To quantify the goodness/badness of EFT we can compute the cross section with or without imposing the condition on  $Q_{\text{tr}}$

$$R_{\Lambda}^{\text{tot}} \equiv \frac{\sigma_{\text{eff}}|_{Q_{\text{tr}} < \Lambda}}{\sigma_{\text{eff}}} = \frac{\int_{p_{\text{T}}^{\min}}^{1 \text{ TeV}} dp_{\text{T}} \int_{-2}^2 d\eta \left. \frac{d^2\sigma_{\text{eff}}}{dp_{\text{T}} d\eta} \right|_{Q_{\text{tr}} < \Lambda}}{\int_{p_{\text{T}}^{\min}}^{1 \text{ TeV}} dp_{\text{T}} \int_{-2}^2 d\eta \frac{d^2\sigma_{\text{eff}}}{dp_{\text{T}} d\eta}}$$

- $R_{\Lambda} = 1 \Rightarrow \text{EFT valid}$
- $R_{\Lambda} < 1 \Rightarrow \text{EFT not valid}$

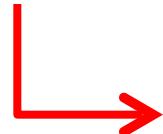
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$R_{\Lambda}$  is a good measure!

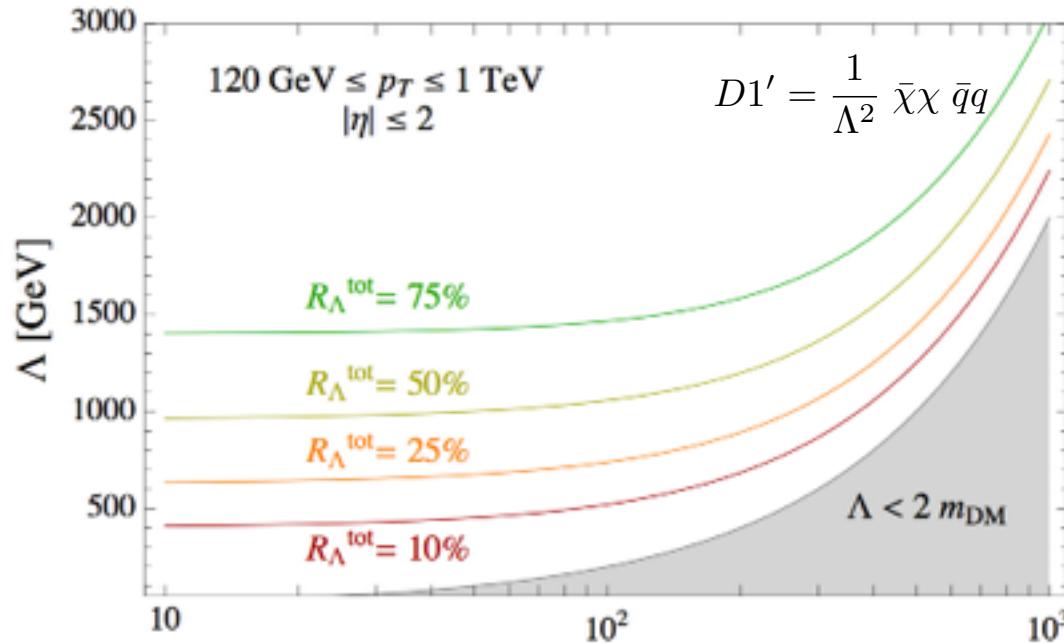
- No need to know the UV completion
- $R_{\Lambda} \approx$  fraction of events in the EFT validity region



Good quantity for experimentalists!

# Cross sections imposing $Q_{\text{tr}} < \Lambda$

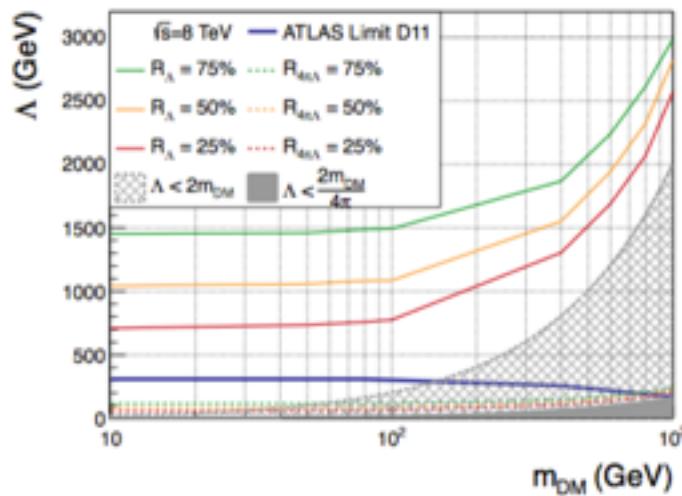
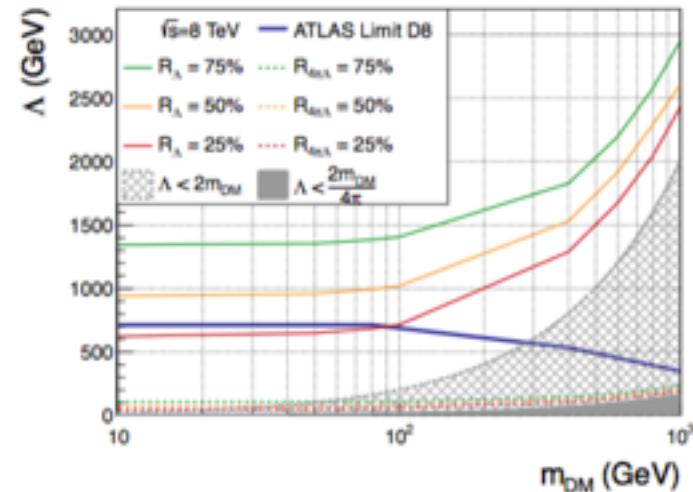
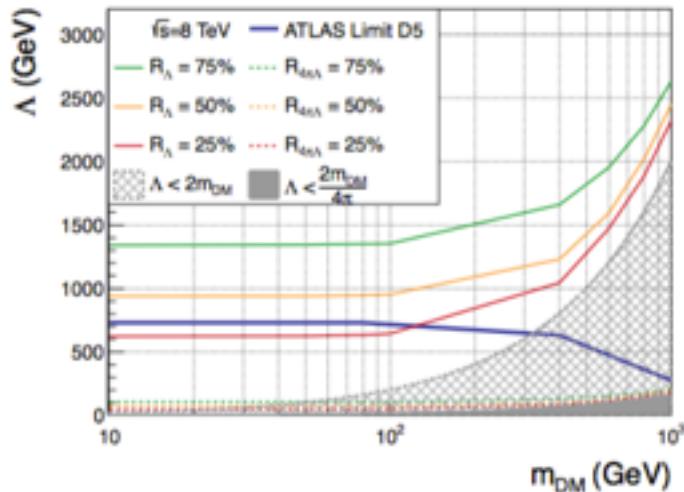
Results for D1' at 8 TeV:



- Computed for the full set of s-channel ops at both 8 and 14 TeV
- Only a small dependence on the cuts
- Worse for 14 TeV

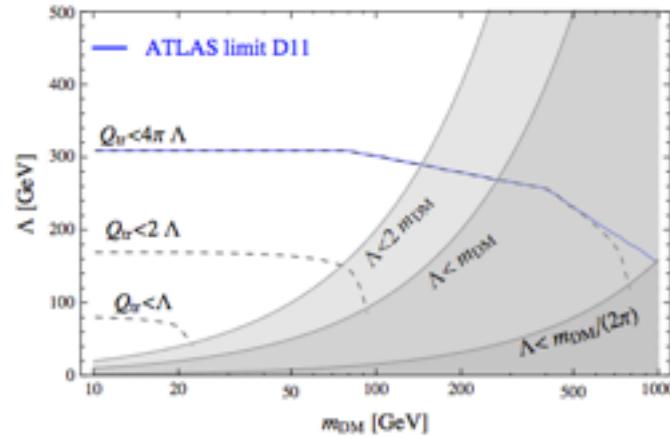
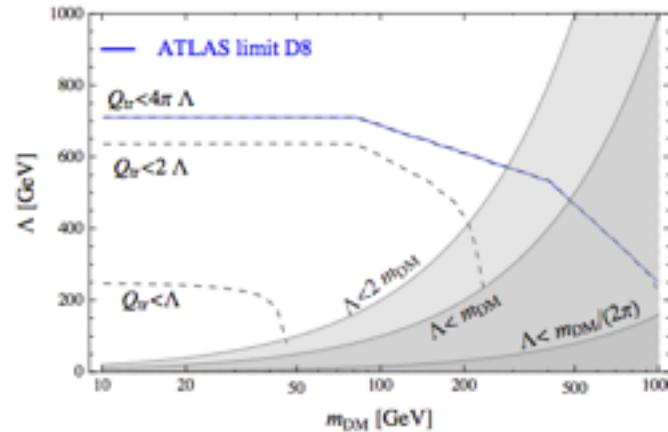
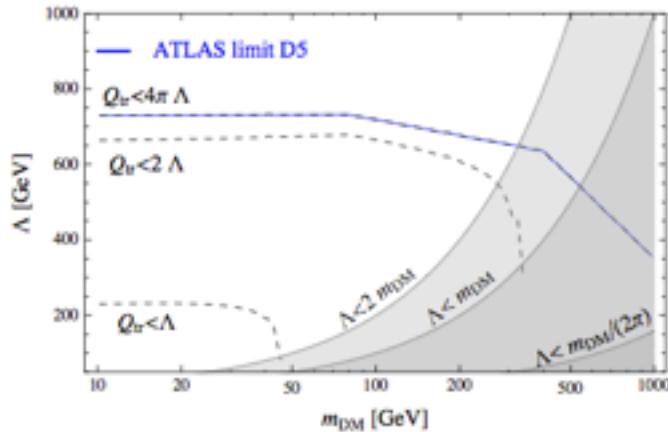
# Implications for LHC searches

Bounds in the  $\Lambda$  vs.  $m_{\text{DM}}$  plane by ATLAS fall well inside the region of EFT non-validity



# Implications for LHC searches

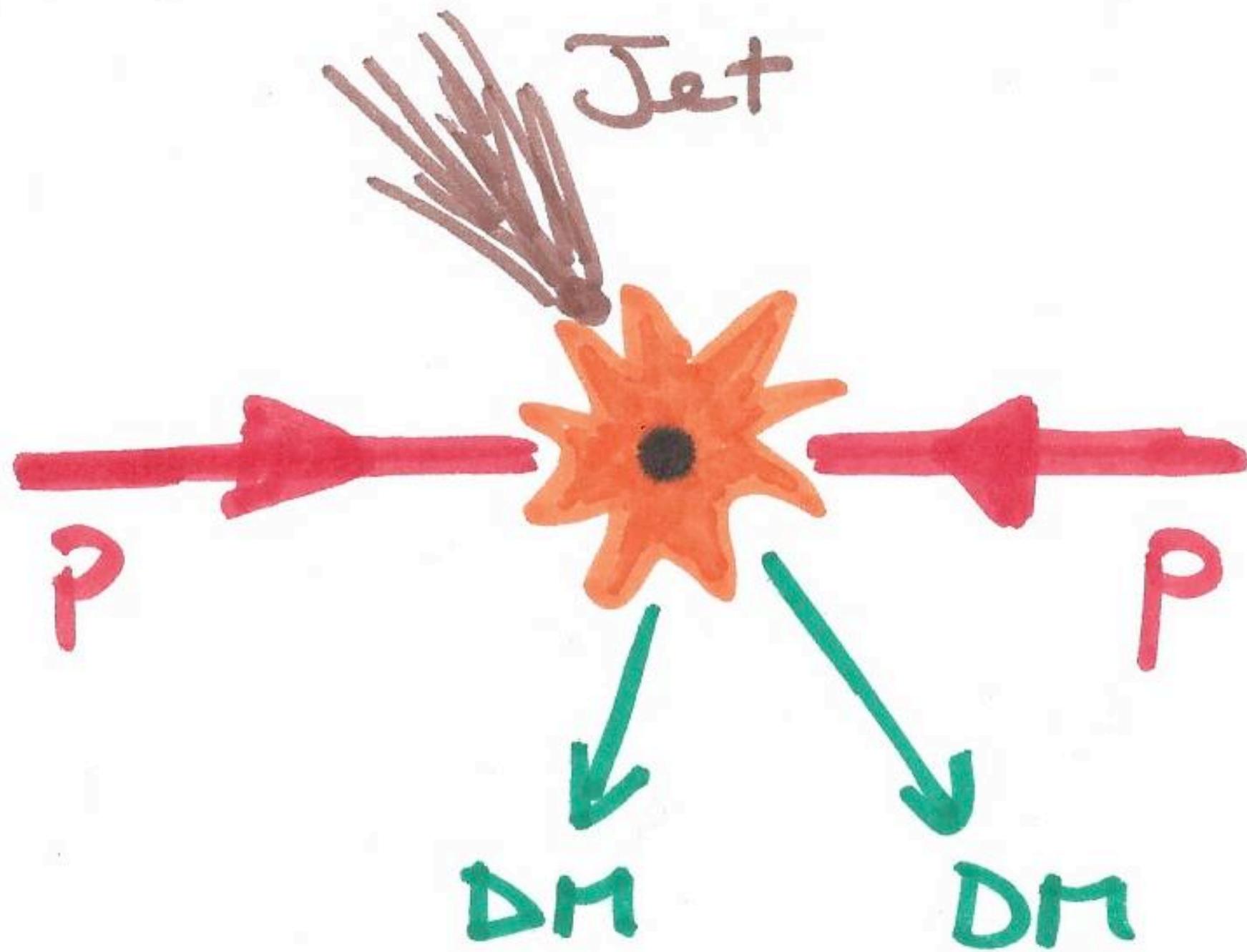
How do these bounds change if we use EFT correctly?



Naïve treatment, need to understand pT distribution with the  $Q_{\text{tr}}$  cut

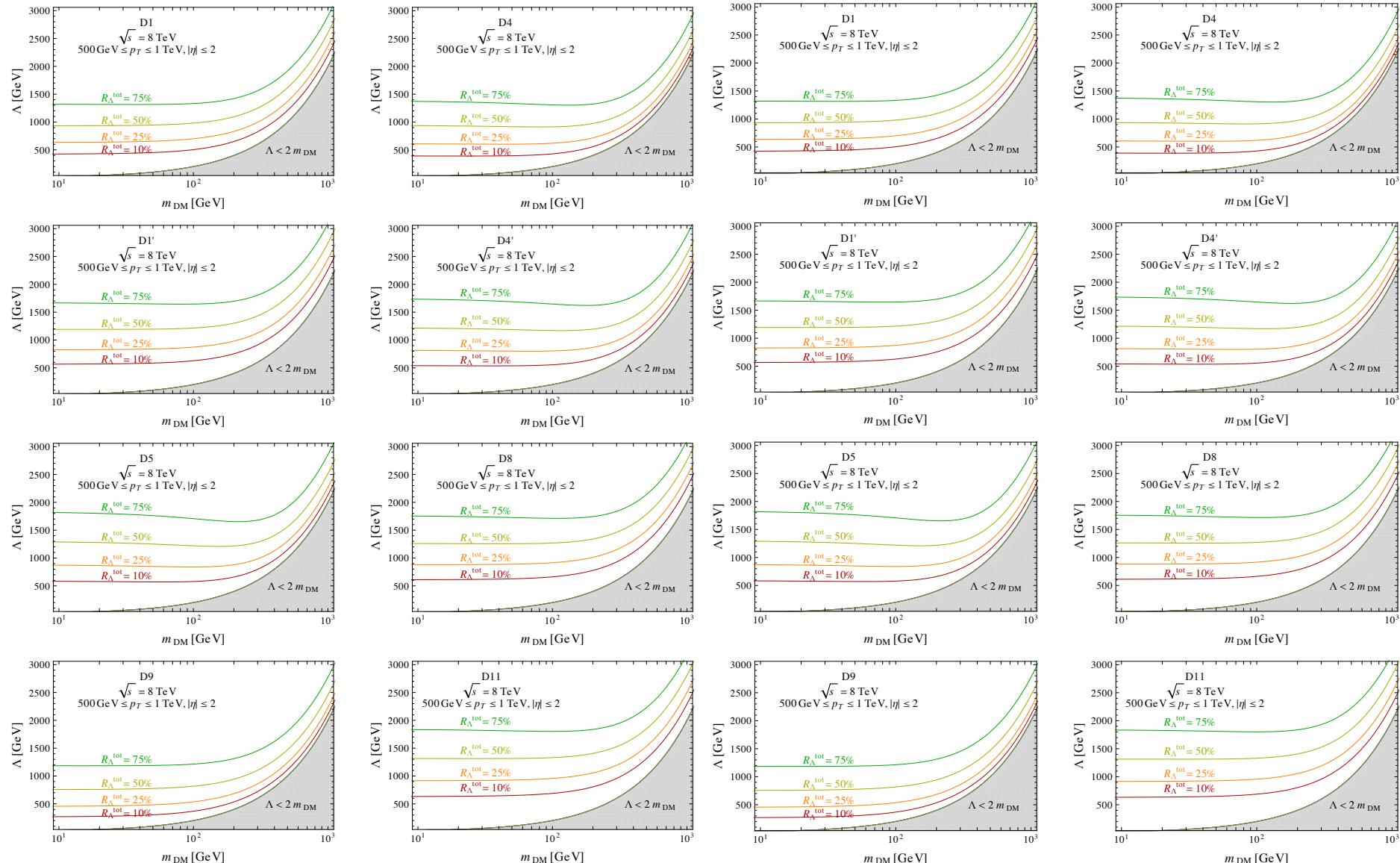
# Conclusions

1. EFTs are a very simple tool for searches of Dark Matter (and not only!) at the LHC;
2. Unfortunately, due to the high energy reach, their usage have strong limitations;
3. It's time to look for alternatives! Simplified models seem to be the way.
4. More parameters to constraint: how do we present results?



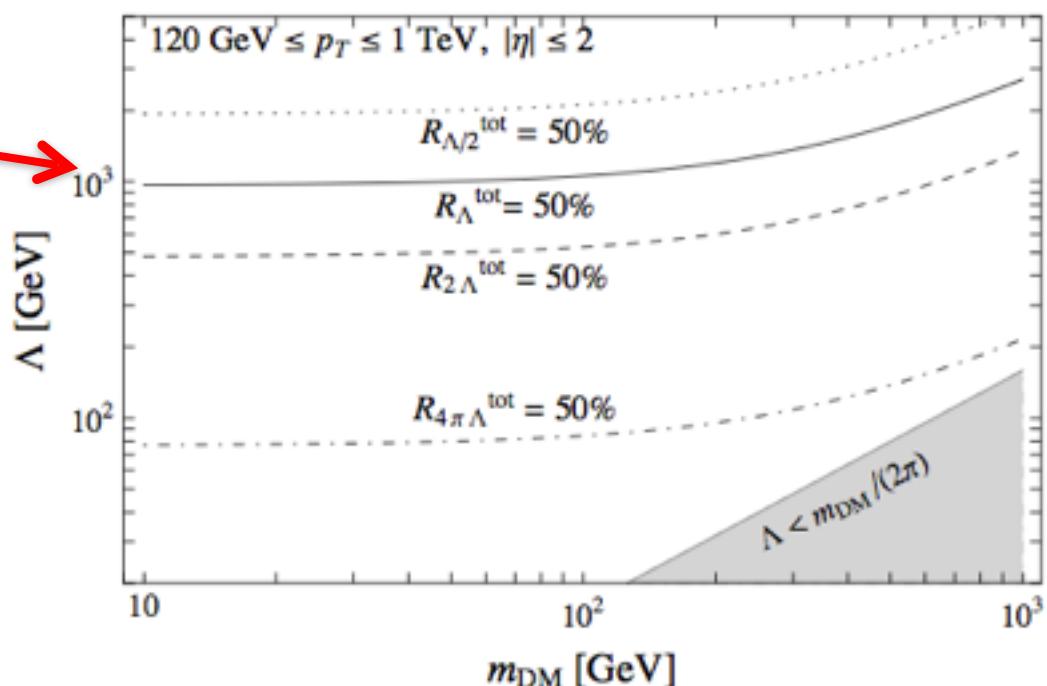
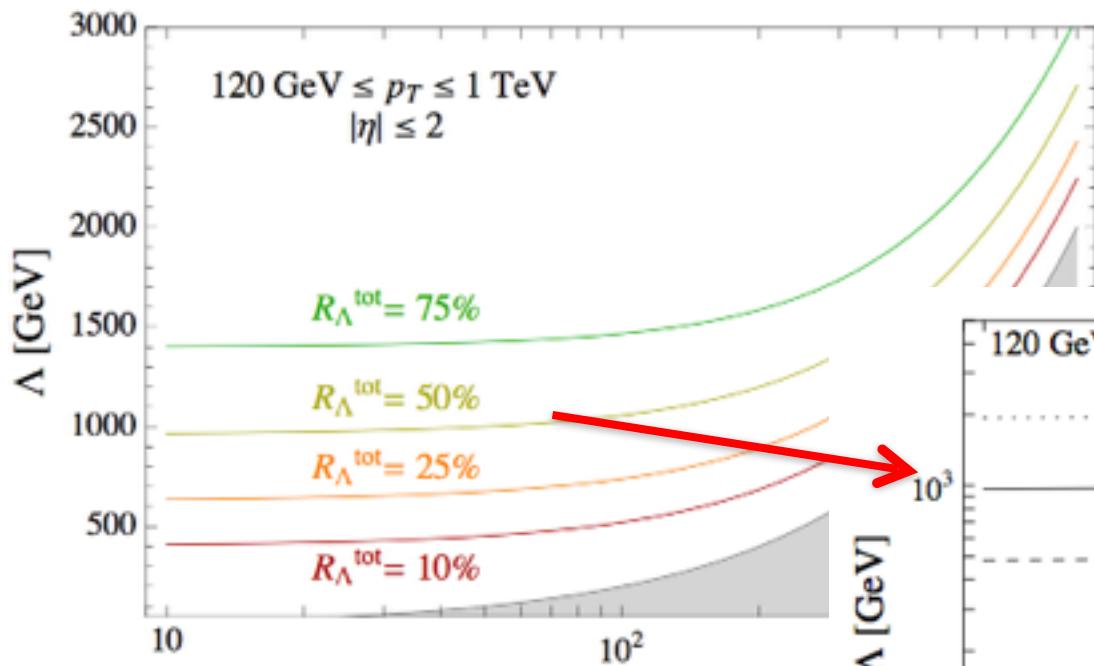
# Cross sections imposing $Q_{\text{tr}} < \Lambda$

Contours for the full set of operators at 8 & 14 TeV:



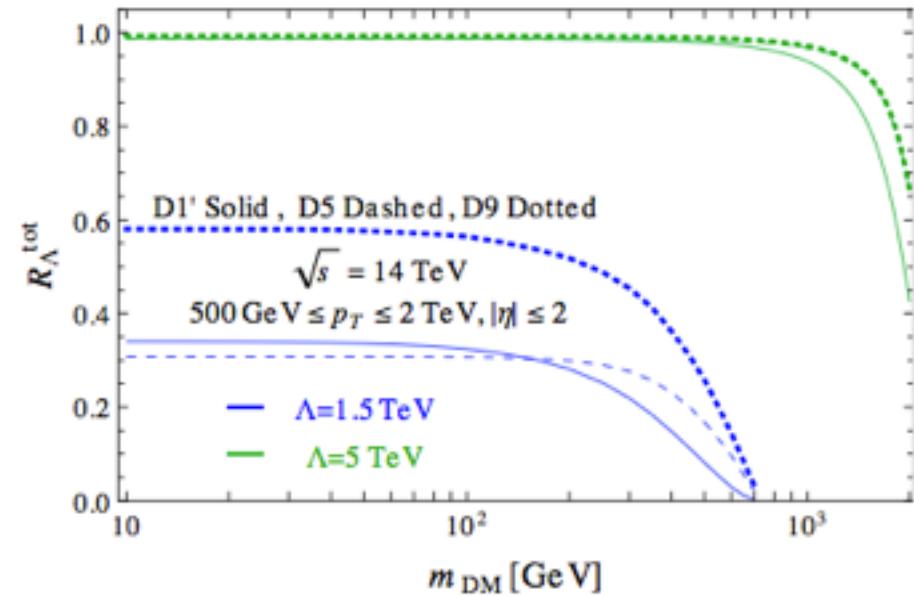
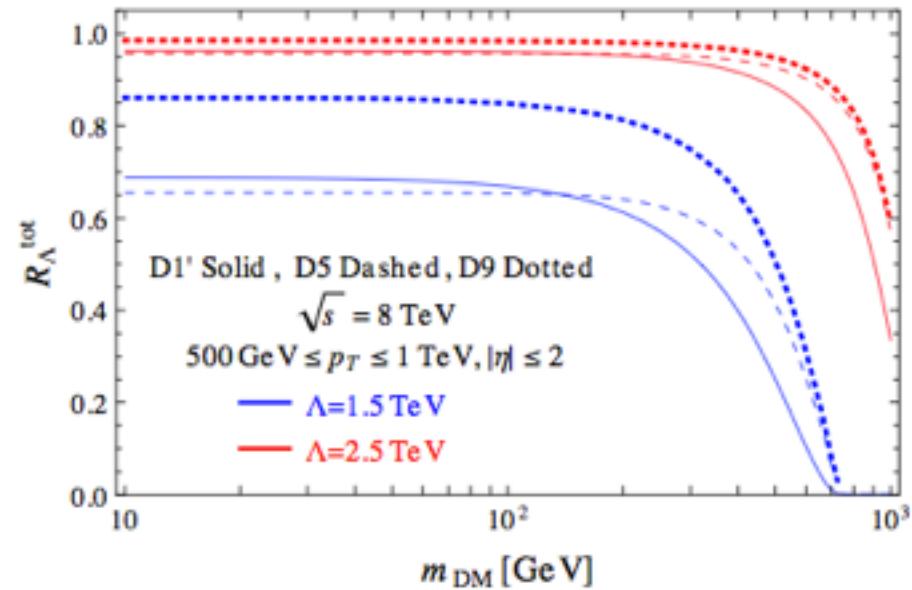
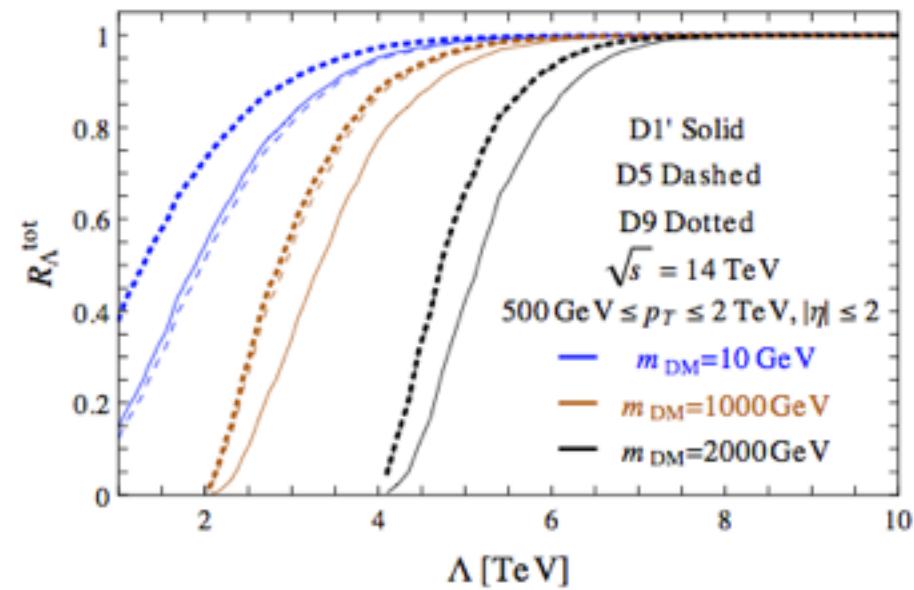
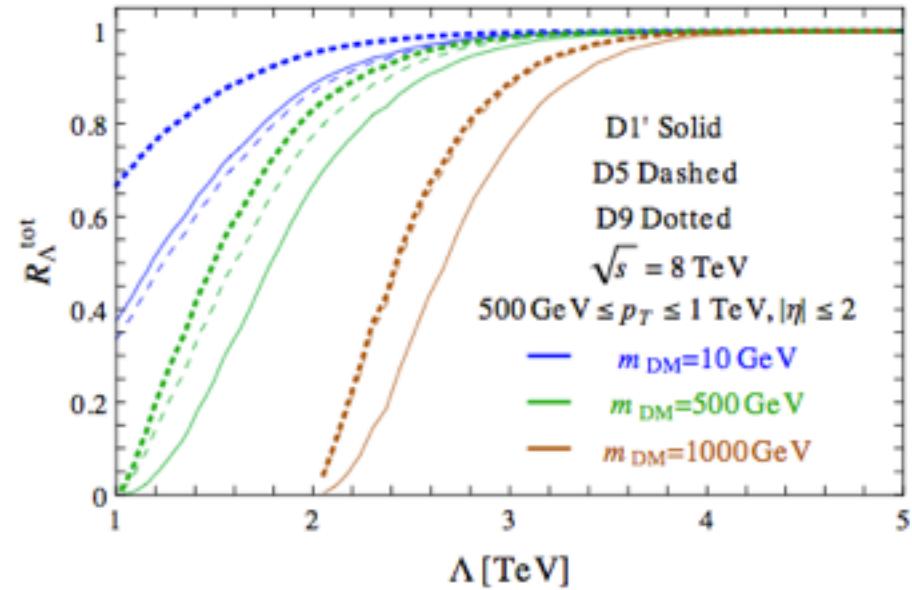
# Cross sections imposing $Q_{\text{tr}} < \Lambda$

Results for D1' at 8 TeV:



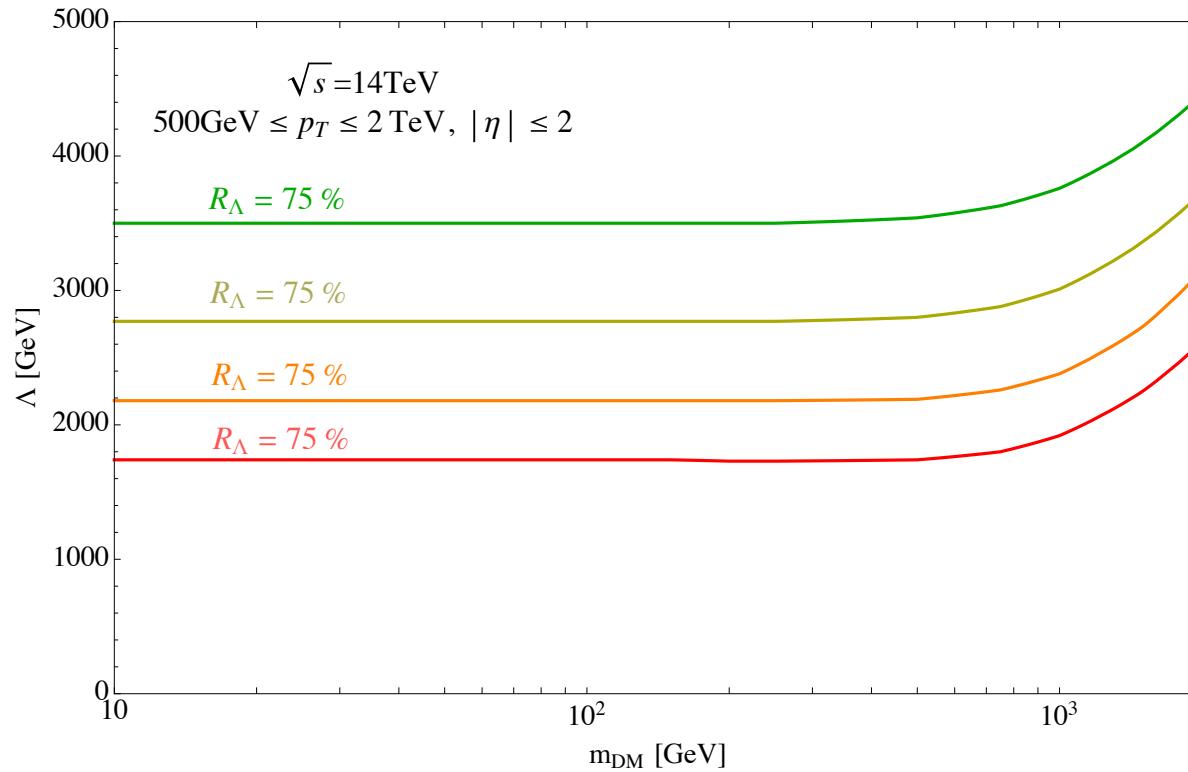
The condition  $Q_{\text{tr}} < \Lambda$  is quite arbitrary, so we can tighten/loosen the bound on  $Q_{\text{tr}}$

# Cross sections imposing $Q_{\text{tr}} < \Lambda$



# Results for t-channel operators

Operators in the t-channel show a similar behaviour

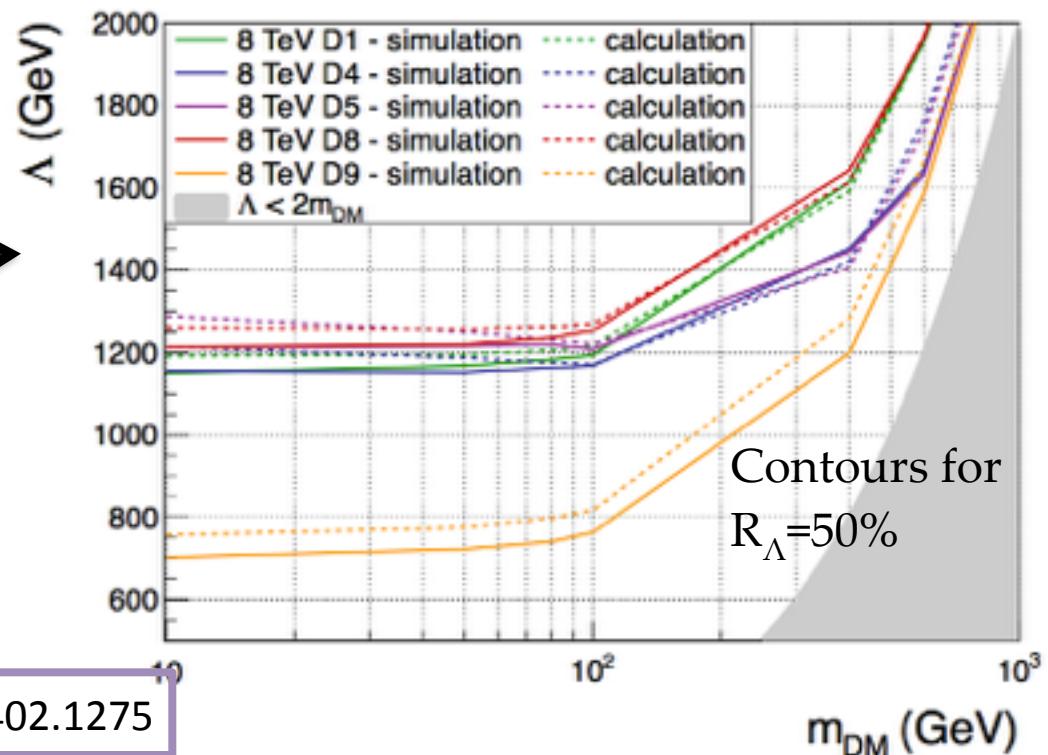


# Comparison with MonteCarlo simulations

We computed the quantity  $R_\Lambda$  using MadGraph5

- Better comparison with experimentalists' techniques
- Includes hadronization of jets
- Includes quark-initiated jets

Analytical & MC results  
are in good agreement

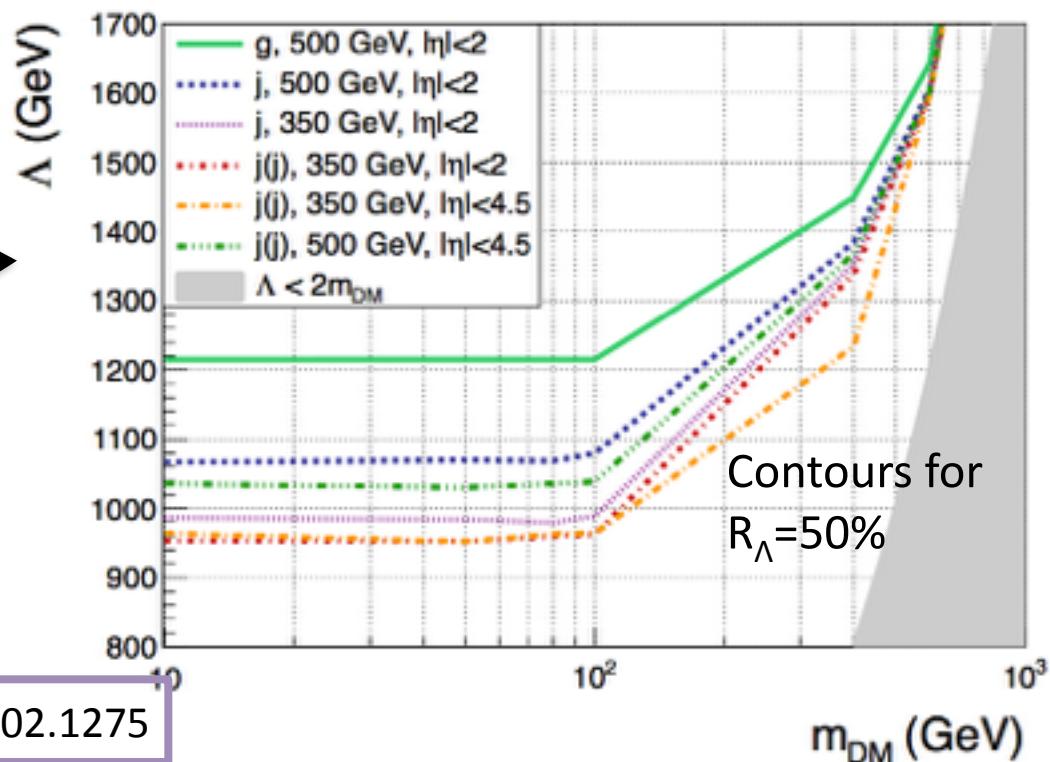


# Comparison with MonteCarlo simulations

We computed the quantity  $R_\Lambda$  using MadGraph5

- Better comparison with experimentalists' techniques
- Includes hadronization of jets
- Includes quark-initiated jets

Vary kinematical cuts  
doesn't change the  
situation



## 2: Comparison with UV completion

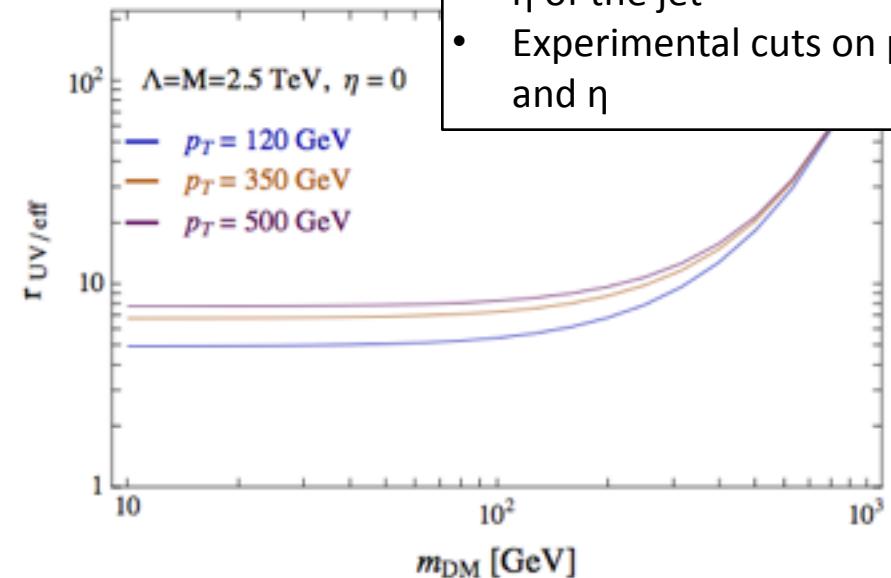
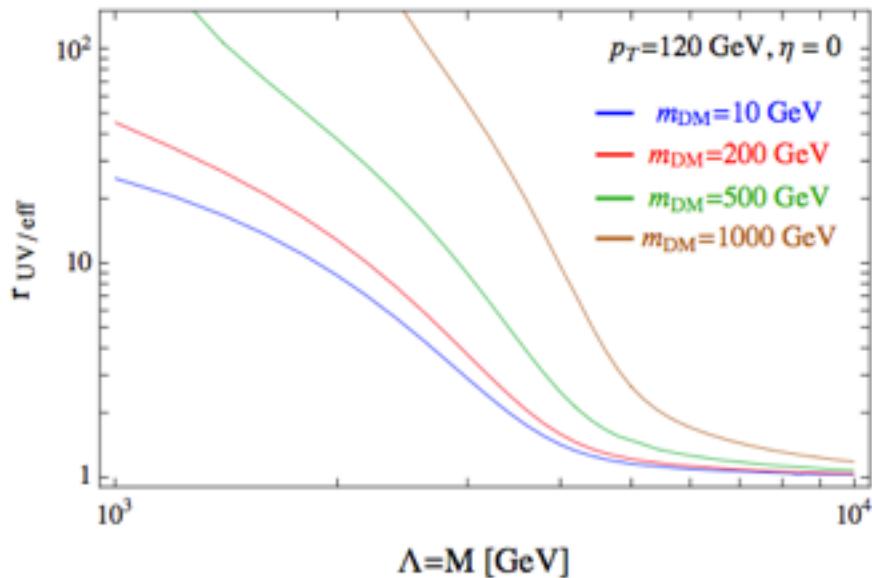
- Complete the D1' lagrangian by adding a scalar field as a mediator

$$\mathcal{L}_{D1'} = \frac{1}{\Lambda^2} (\bar{\chi}\chi)(\bar{q}q) \longleftrightarrow \mathcal{L}_{UV} \supset \frac{1}{2} M^2 S^2 - g_q \bar{q}q S - g_\chi \bar{\chi}\chi S$$

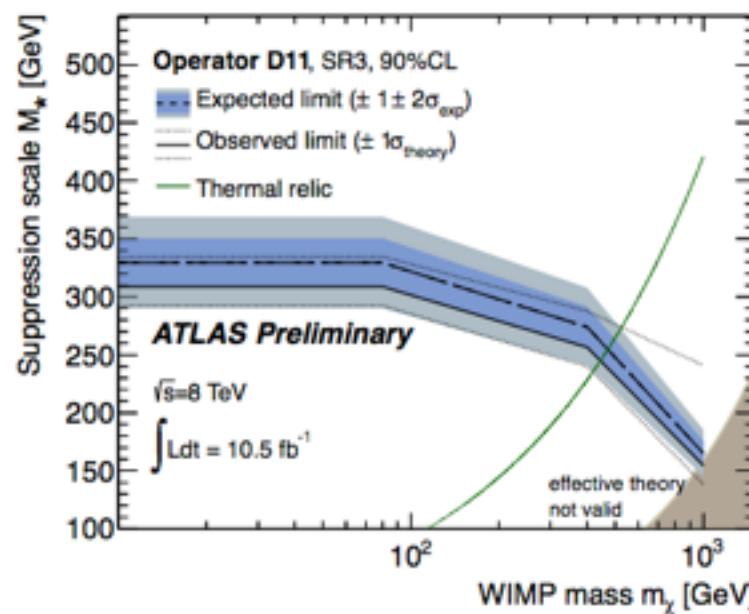
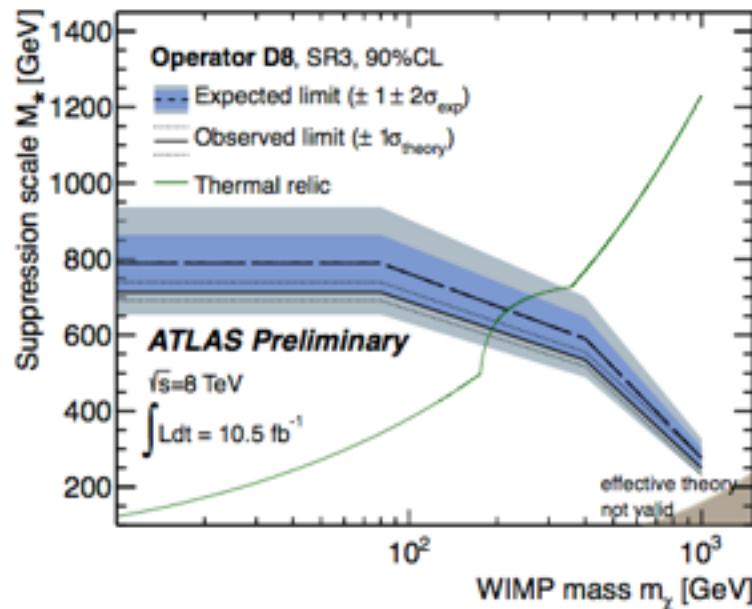
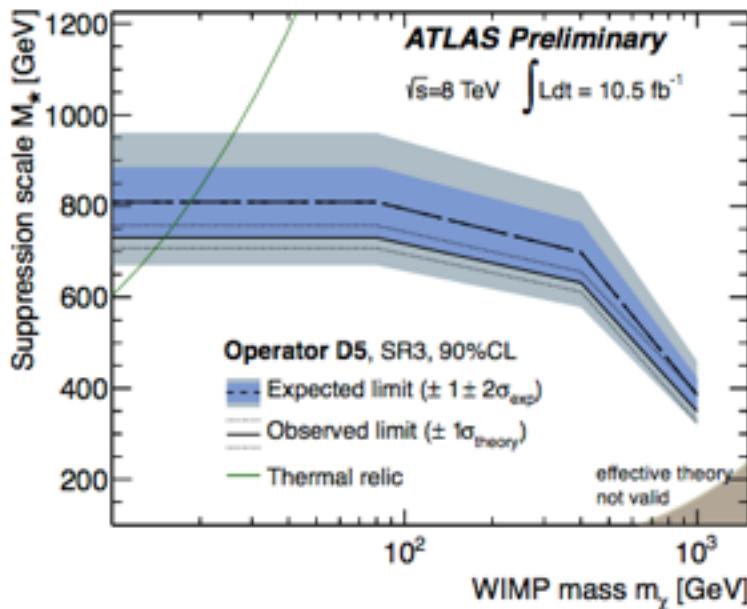
- Compute the ratio between the two cross sections

$$r_{UV/\text{eff}}^{\text{tot}} \equiv \frac{\sigma_{UV}|_{Q_{\text{tr}} < M}}{\sigma_{\text{eff}}|_{Q_{\text{tr}} < \Lambda}} = \frac{\int_{p_T^{\min}}^{1 \text{ TeV}} dp_T \int_{-2}^2 d\eta \left. \frac{d^2\sigma_{UV}}{dp_T d\eta} \right|_{Q_{\text{tr}} < M}}{\int_{p_T^{\min}}^{1 \text{ TeV}} dp_T \int_{-2}^2 d\eta \left. \frac{d^2\sigma_{\text{eff}}}{dp_T d\eta} \right|_{Q_{\text{tr}} < \Lambda}}$$

- Computed analitically at parton level assuming jet = emitted gluon
- Integrated over PDFs imposing the condition on  $Q_{\text{tr}}$
- Integrated over  $p_T$  and  $\eta$  of the jet
- Experimental cuts on  $p_T$  and  $\eta$



# ATLAS limits



ATLAS Mono-jet analysis  
 ATLAS-CONF-2012-147

# Implications for LHC searches

Very naively, neglecting the statistical and systematical uncertainties, the number of signal events in a given EFT model has to be less than the experimental observation,  $N_{\text{signal}}(\Lambda, m_{\text{DM}}) < N_{\text{expt}}$ . The cross section due to an operator of mass dimension  $d$  scale like  $\Lambda^{-2(d-4)}$ , so  $N_{\text{signal}}(\Lambda, m_{\text{DM}}) = \Lambda^{-2(d-4)} \tilde{N}_{\text{signal}}(m_{\text{DM}})$ , and the experimental lower bound in the scale of the operator becomes

$$\Lambda > \left[ \tilde{N}_{\text{signal}}(m_{\text{DM}})/N_{\text{exp}} \right]^{1/[2(d-4)]} \equiv \Lambda_{\text{expt.}} . \quad (4.1)$$

Now, if we do not consider any information about the shapes of the  $p_T$  or MET distributions, the experimental bound only comes from the total number of events passing given cuts. The fact that a fraction of the events involve a transfer momentum exceeding the cutoff scale of the EFT means that the number of signal events for placing a limit gets reduced by a factor  $R_{\Lambda}^{\text{tot}}$ . Therefore, actually  $N_{\text{signal}}(\Lambda, m_{\text{DM}}) \rightarrow R_{\Lambda}^{\text{tot}}(m_{\text{DM}}) N_{\text{signal}}(\Lambda, m_{\text{DM}})$ , so the new limit is found by solving the implicit equation

$$\Lambda > [R_{\Lambda}^{\text{tot}}(m_{\text{DM}})]^{1/2[(d-4)]} [N_{\text{signal}}(m_{\text{DM}})/N_{\text{exp}}]^{1/[2(d-4)]} = [R_{\Lambda}^{\text{tot}}(m_{\text{DM}})]^{1/[2(d-4)]} \Lambda_{\text{expt}} \quad (4.2)$$

and it turns out to be weaker than  $\Lambda_{\text{expt.}}$ .

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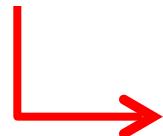
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