

## *Theoretical overview on Higgs physics*

Gino Isidori

[ *INFN, Frascati* ]

- ▶ Introduction
- ▶ A closer look to the SM Higgs sector
- ▶ The Higgs mass and the fate of the SM vacuum
- ▶ Higgs & SUSY
- ▶ What's next? Precision Higgs studies
- ▶ Conclusions

*A personal*

~~*Theoretical overview on Higgs physics*~~

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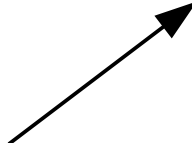

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## ► Introduction

All known phenomena in particle physics (*leaving aside a few cosmological observations*) can be described with good accuracy by a remarkably simple (*effective*) theory:

$$\mathcal{L}_{\text{SM}} = \mathcal{L}_{\text{gauge}}(A_a, \psi_i) + \mathcal{L}_{\text{Higgs (Symm. Break.)}}(\phi, A_a, \psi_i)$$

- |  |   |  |
|--|---|--|
| <ul style="list-style-type: none"> <li>• <i>Natural</i></li> <li>• Experimentally tested with high accuracy</li> <li>• Stable with respect to quantum corrections (UV insensitive)</li> <li>• <u>Highly symmetric</u><br/>[<i>gauge + favor symmetries</i>]</li> </ul> |    | <ul style="list-style-type: none"> <li>• <i>Ad hoc</i></li> <li>• Necessary to describe data<br/>[<i>the electroweak symmetry forbid masses for all the elementary particles observed so far...</i>]</li> <li>• Not stable with respect to quantum corrections (UV sensitive)</li> <li>• Origin of the flavor structure of the model<br/>[<i>and of all the problems of the model...</i>]</li> </ul> |
|  |  |  |

## ► Introduction

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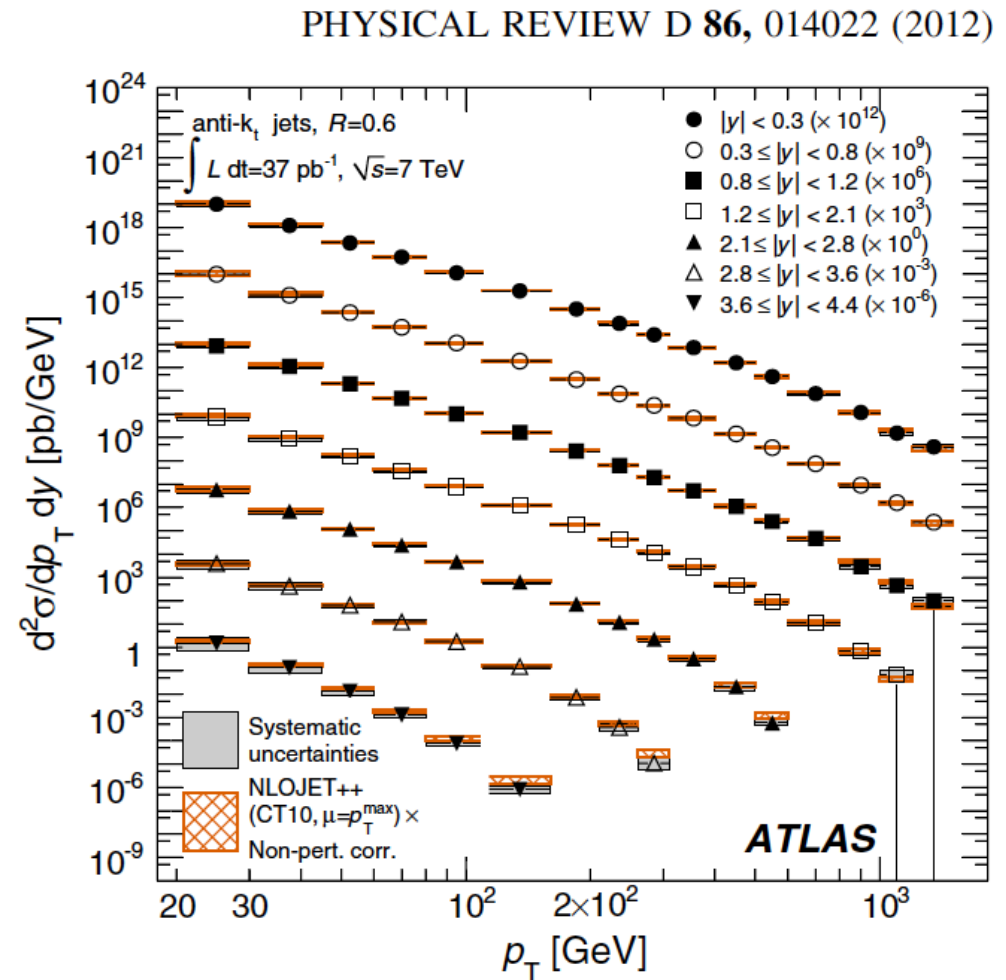
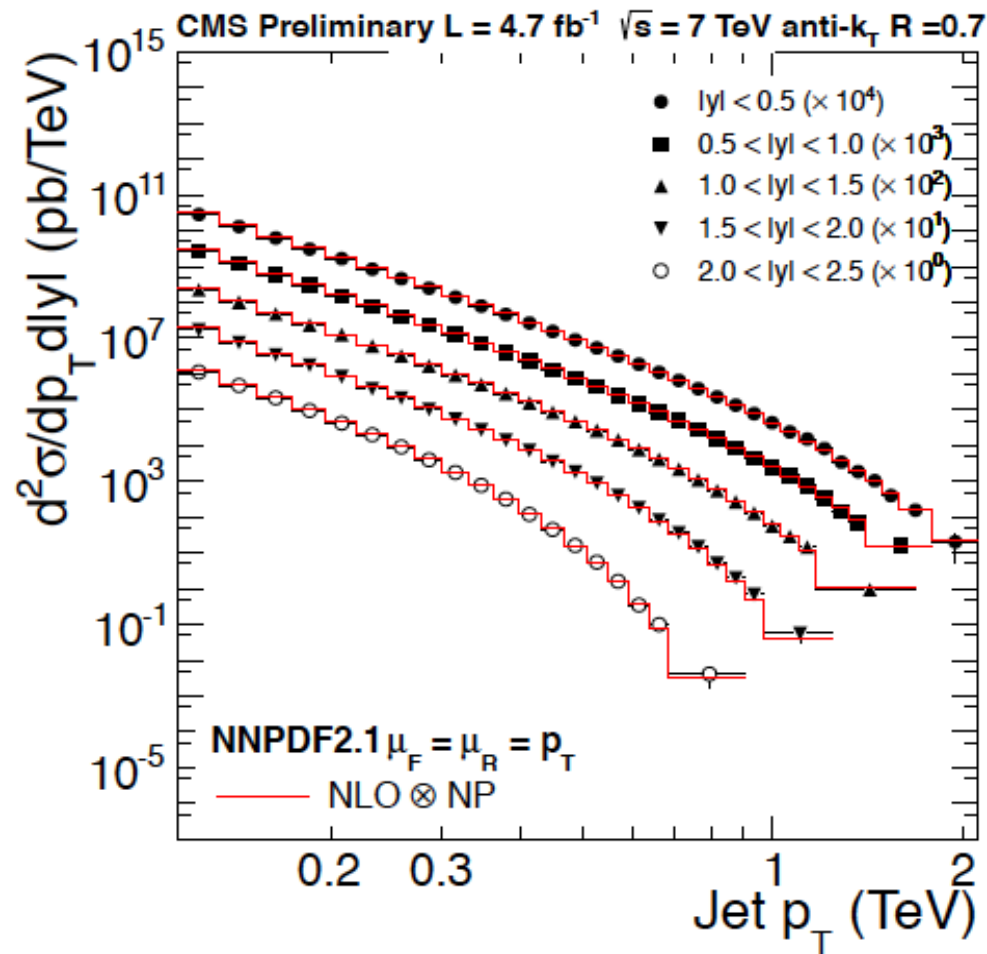
*Elegant & stable,  
but also a bit boring...*

- *Ad hoc*
- Necessary to describe data  
[*we couldn't live in a fully symmetric world...*]

*Ugly & unstable, but is what  
makes nature interesting...!*

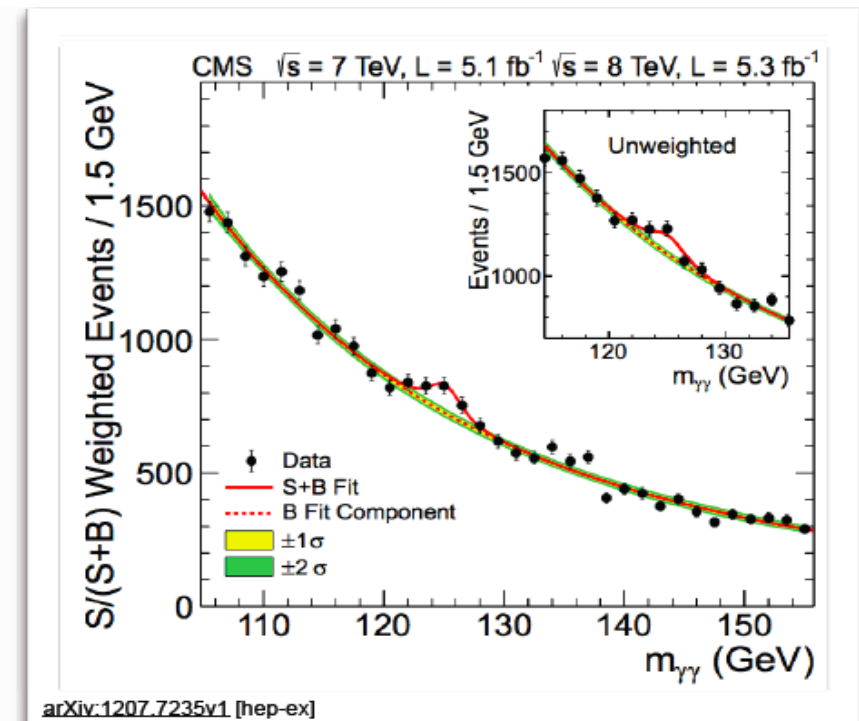
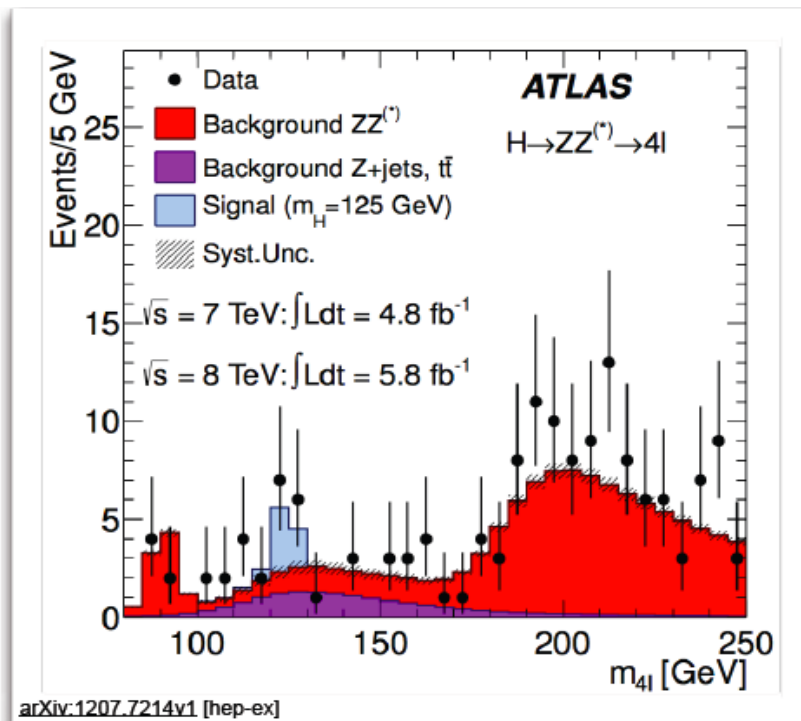
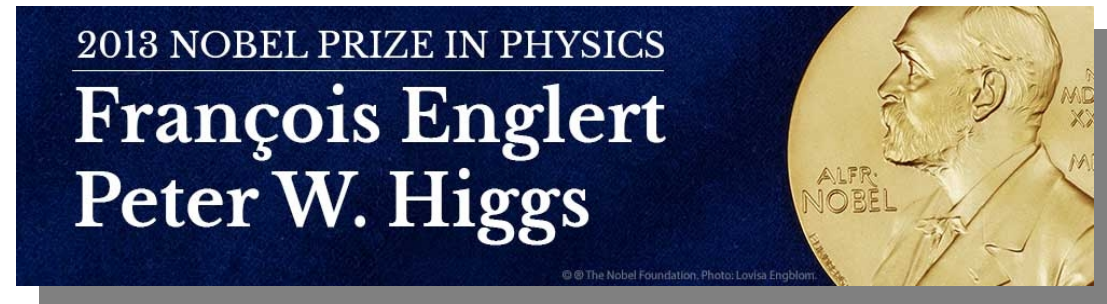
## Introduction

LHC experiments have confirmed once more that we understand very well gauge interactions...



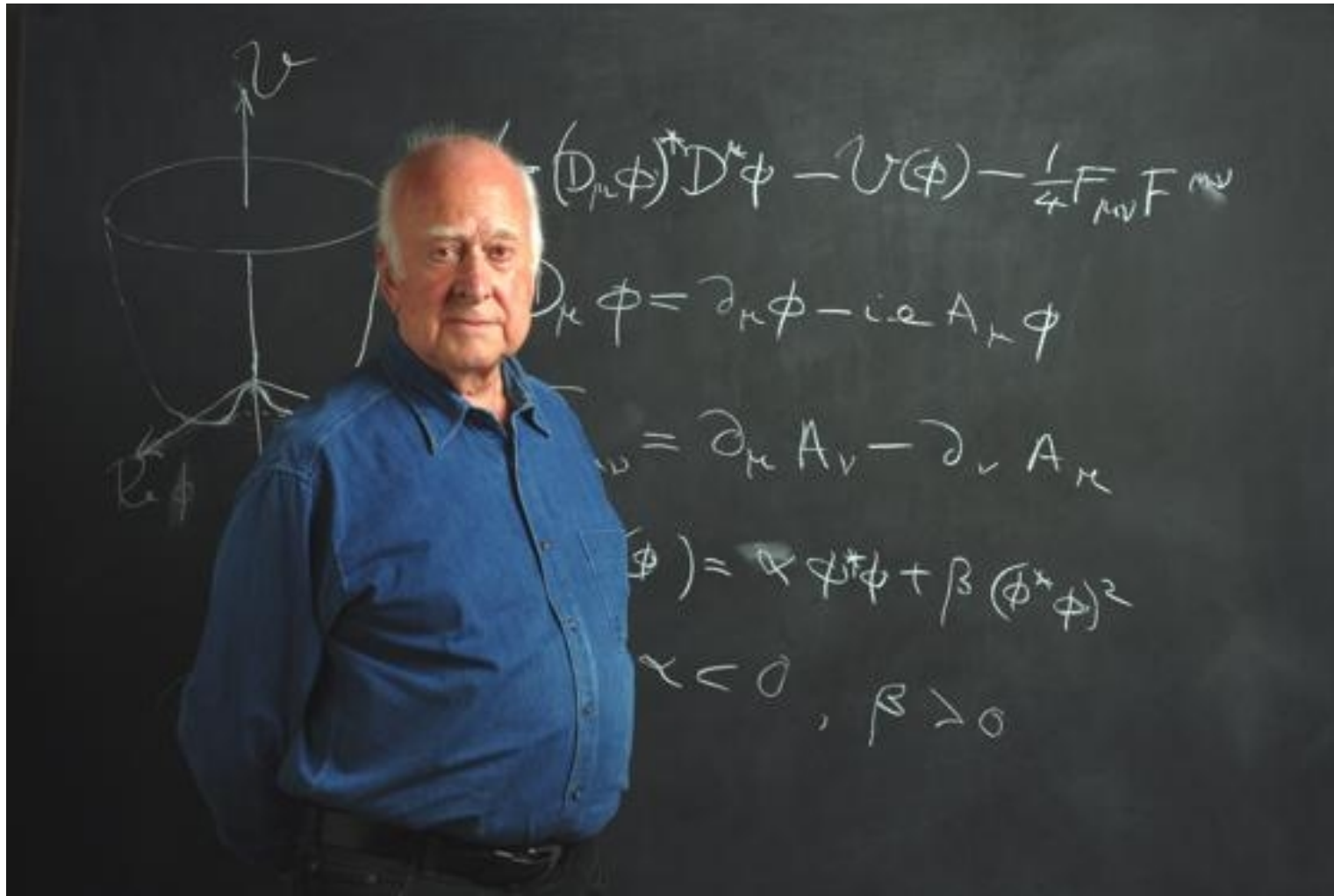
## ► Introduction

...but the main result of the first LHC run is a deeper understanding of the symmetry breaking sector of the theory:



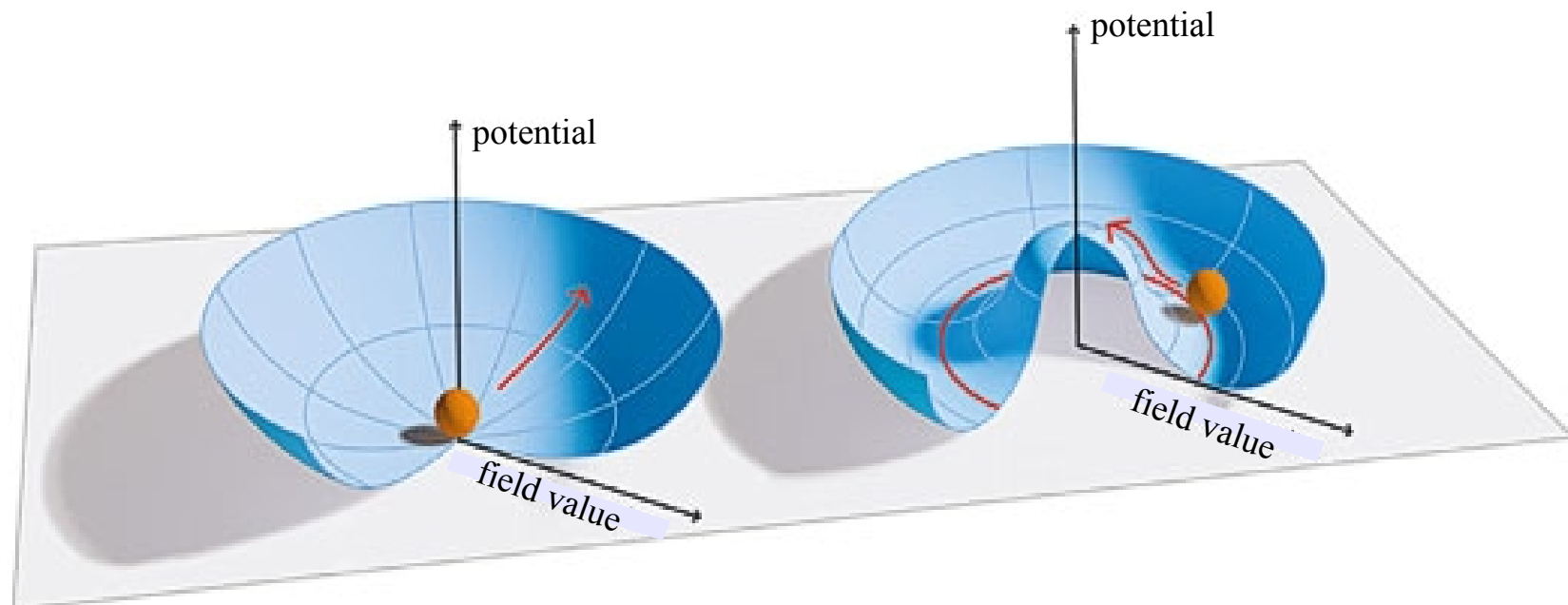
*Clear evidence of a new particle compatible with the properties of the Higgs boson*

► A closer look to the SM Higgs sector



► *A closer look to the SM Higgs sector*

The Higgs mechanism, namely the introduction of an elementary  $SU(2)_L$  scalar doublet, with  $\phi^4$  potential, is the most economical & simple choice to achieve the spontaneous symmetry breaking of both gauge [  $SU(2)_L \times U(1)_Y \rightarrow U(1)_Q$  ] and flavor symmetries that we observe in nature.





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$$\mathcal{L}_{\text{higgs}}(\phi, A_a, \psi_i) = D\phi^\dagger D\phi - V(\phi)$$

$$V(\phi) = -\mu^2 \phi^\dagger \phi + \lambda(\phi^\dagger \phi)^2 + Y^{ij} \psi_L^i \psi_R^j \phi$$

Before the start of the LHC only the ground state determined by this potential (*and the corresponding Goldstone boson structure*) was tested with good accuracy:

$$v = \langle \phi^\dagger \phi \rangle^{1/2} \sim 246 \text{ GeV} \quad [ m_W = \frac{1}{2} g v ]$$

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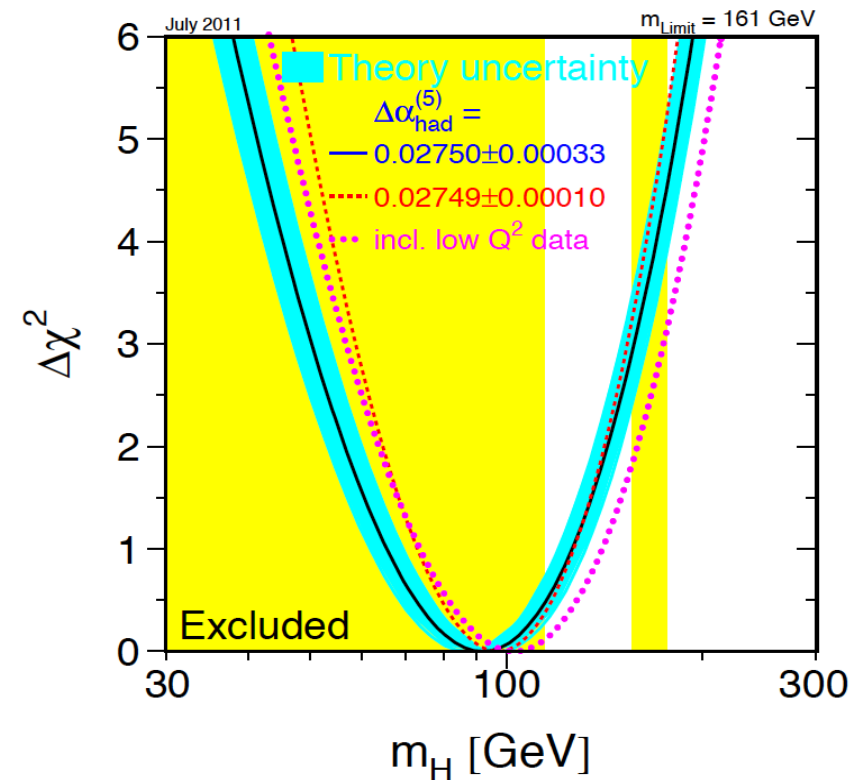
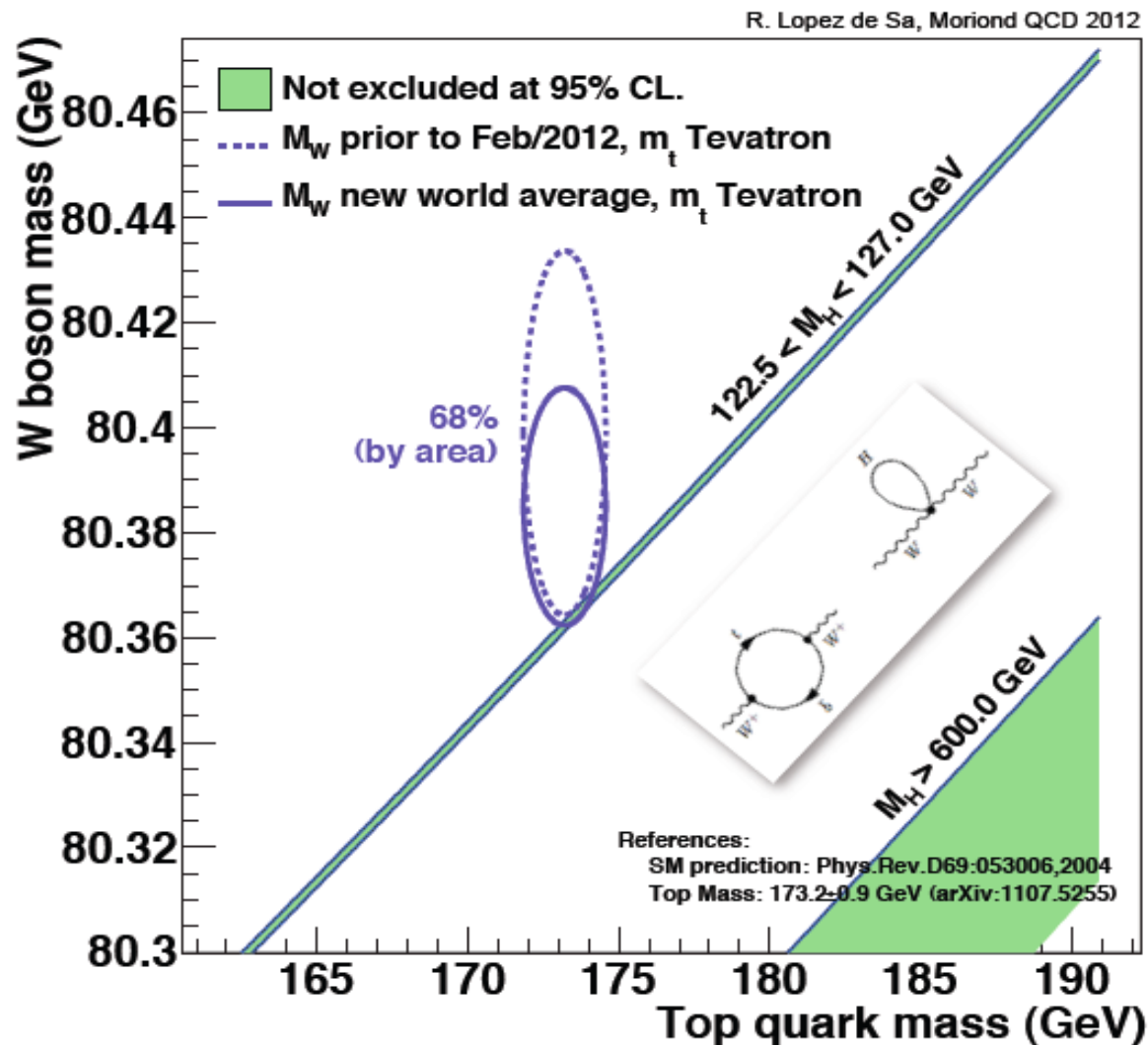
The situation has substantially changed about one year ago, with the observation of the 4<sup>th</sup> degree of freedom of the Higgs field (or its *massive excitation*):

$$\lambda_{(\text{tree})} = 1/2 m_h^2 / v^2 \approx 0.13$$

$$\mu_{(\text{tree})}^2 = 1/2 m_h^2$$

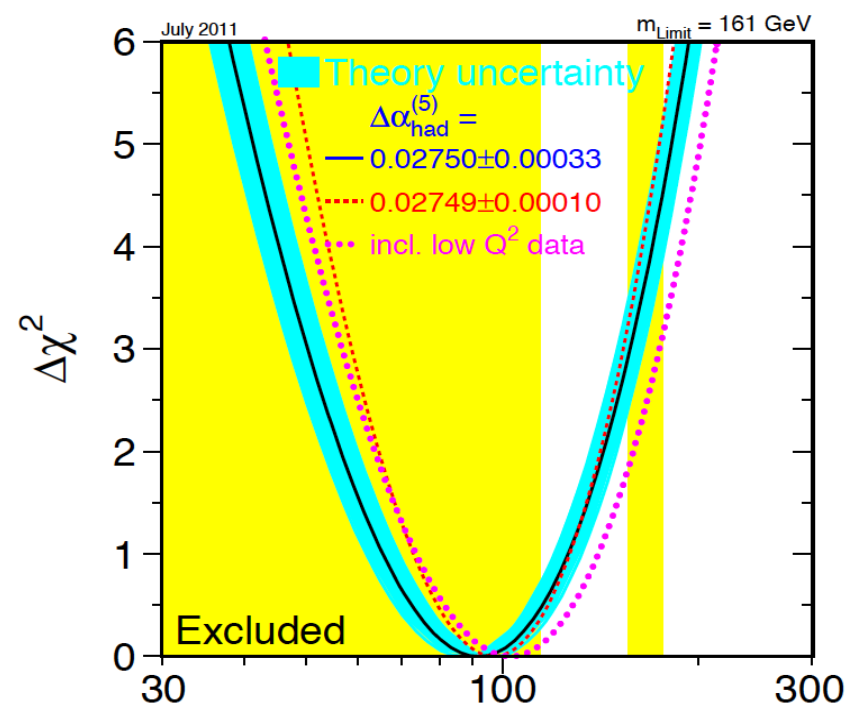
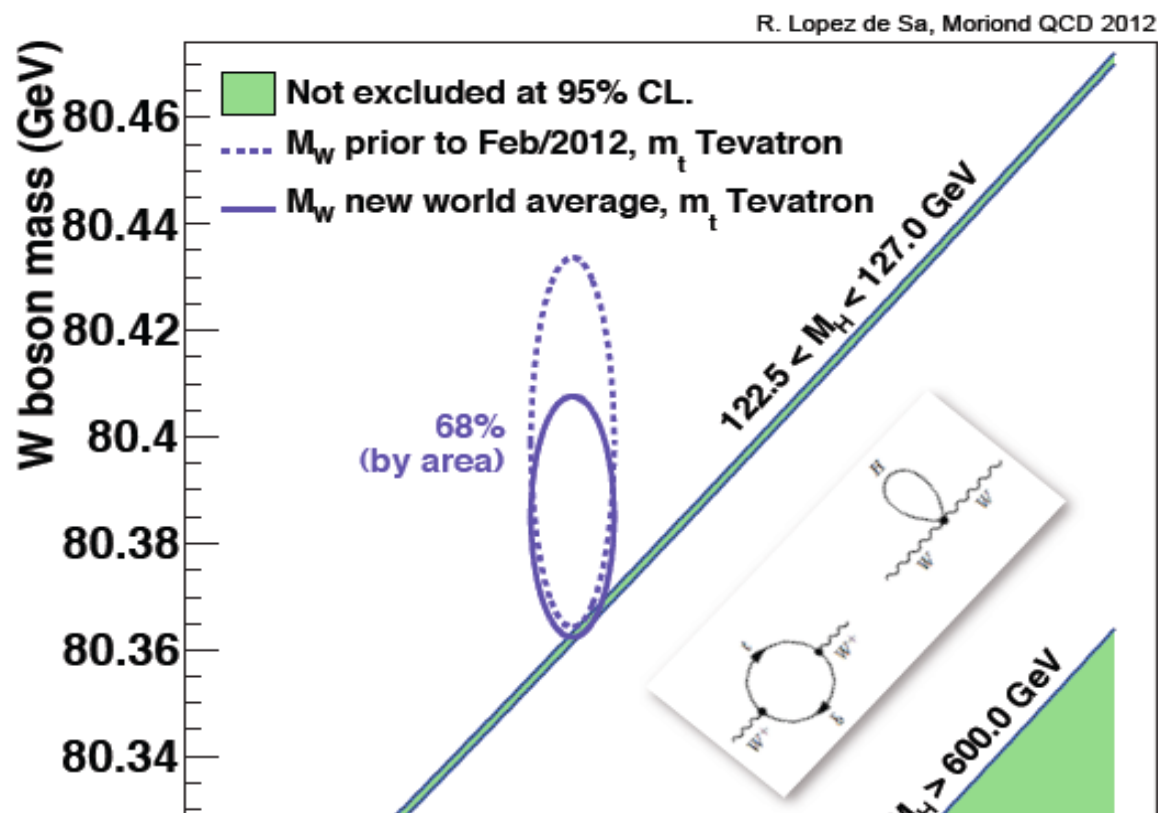
## ► A closer look to the SM Higgs sector

Actually some information about the Higgs mass was already present in the e.w. precision tests (assuming the validity of the SM up to high scales):



► A closer look to the SM Higgs sector

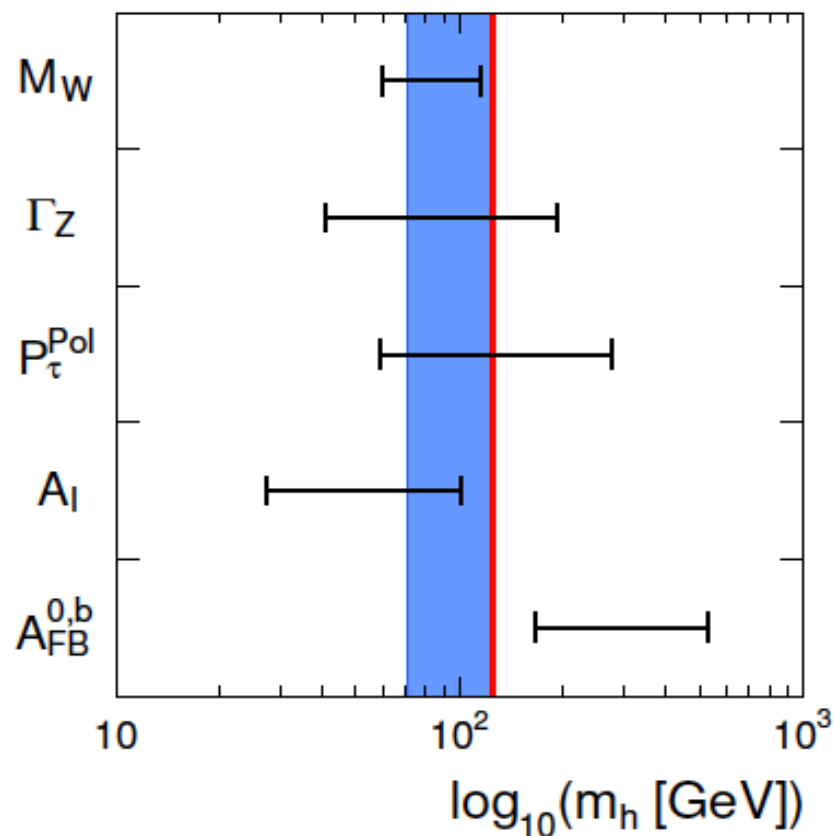
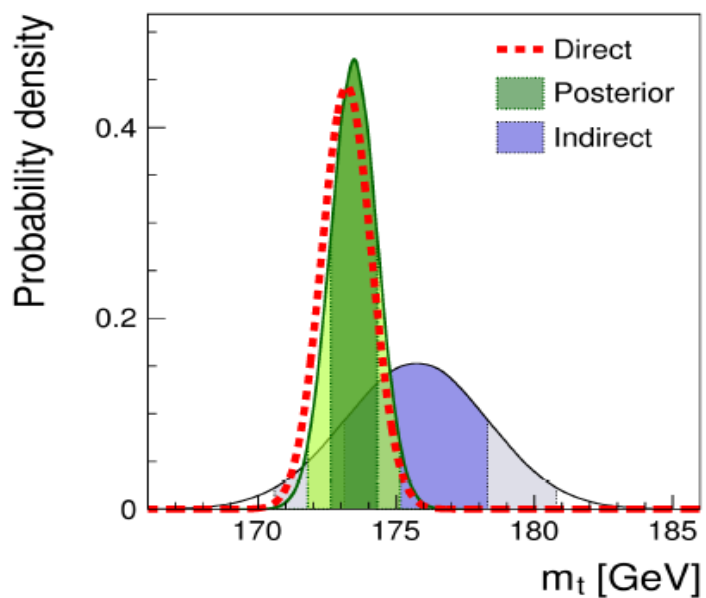
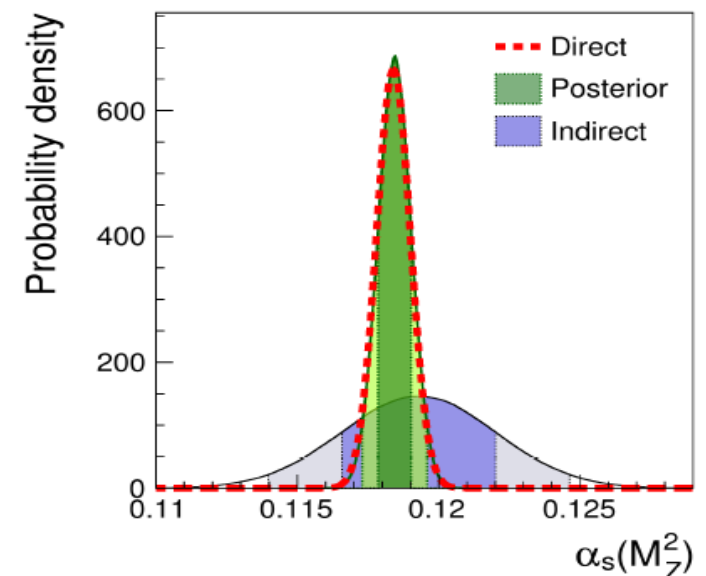
Actually some information about the Higgs mass was already present in the e.w. precision tests (assuming the validity of the SM up to high scales):



Message n.1: The observation of the physical Higgs boson with  $m_h$  well consistent with the (indirect) prediction of the e.w. precision tests is a great success of the SM!

► A closer look to the SM Higgs sector

Ciuchini, Franco, Mishima, Silvestrini, '13



More generally, we have a strong indication that the symmetry breaking sector of the theory has a *minimal* and *weakly coupled* structure (at least around the TeV scale), as in the SM.

► *A closer look to the SM Higgs sector*

Still, the SM Higgs potential is “ugly” and hides the most serious *theoretical problems* of this highly successful theory:

$$V(\phi) = -\mu^2 \phi^+ \phi + \lambda (\phi^+ \phi)^2 + Y^{ij} \psi_L^i \psi_R^j \phi$$

vacuum instability

at large field values  $\lambda < 0$   
 → the SM vacuum is NOT  
 absolutely stable

Quadratic sensitivity to the cut-off

$$\Delta\mu^2 \sim \Delta m_h^2 \sim \Lambda^2$$

(indication of *new physics*  
 close to the electroweak scale ?)

SM flavor problem

(unexplained span over several  
 orders of magnitude and strongly  
 hierarchical structure  
 of the Yukawa coupl.)

► A closer look to the SM Higgs sector

Still, the SM Higgs potential is “ugly” and hides the most serious *theoretical problems* of this highly successful theory:

$$V(\phi) = \Lambda^4 - \mu^2 \phi^+ \phi + \lambda (\phi^+ \phi)^2 + Y^{ij} \psi_L^i \psi_R^j \phi + \frac{g^{ij}}{\Lambda} \psi_L^i \psi_L^{Tj} \phi \phi^T$$

Cosmological  
constant prob.

vacuum instability

at large field values  $\lambda < 0$   
→ the SM vacuum is NOT  
absolutely stable

effective  
neutrino  
mass term

Quadratic sensitivity to the cut-off

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► *A closer look to the SM Higgs sector*

**Common view:** the SM (and in particular the Higgs sector) is only and *effective theory*, or the low-energy limit of a more fundamental theory, with new degrees of freedom at high energies.

Before the Higgs discovery there were strong hopes that knowing the *Higgs mass* (*the only mass scale in the theory*) we would have gained a clear clue about the nature of physics beyond the SM

These hopes were justified, and indeed  $m_h$  *could have* given us unambiguous answers...



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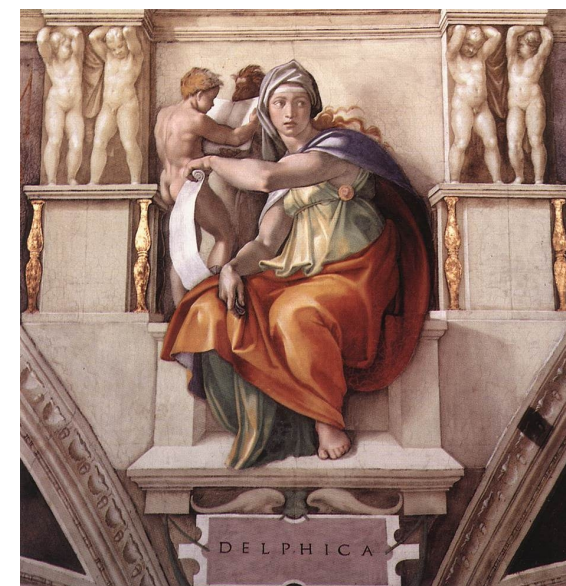
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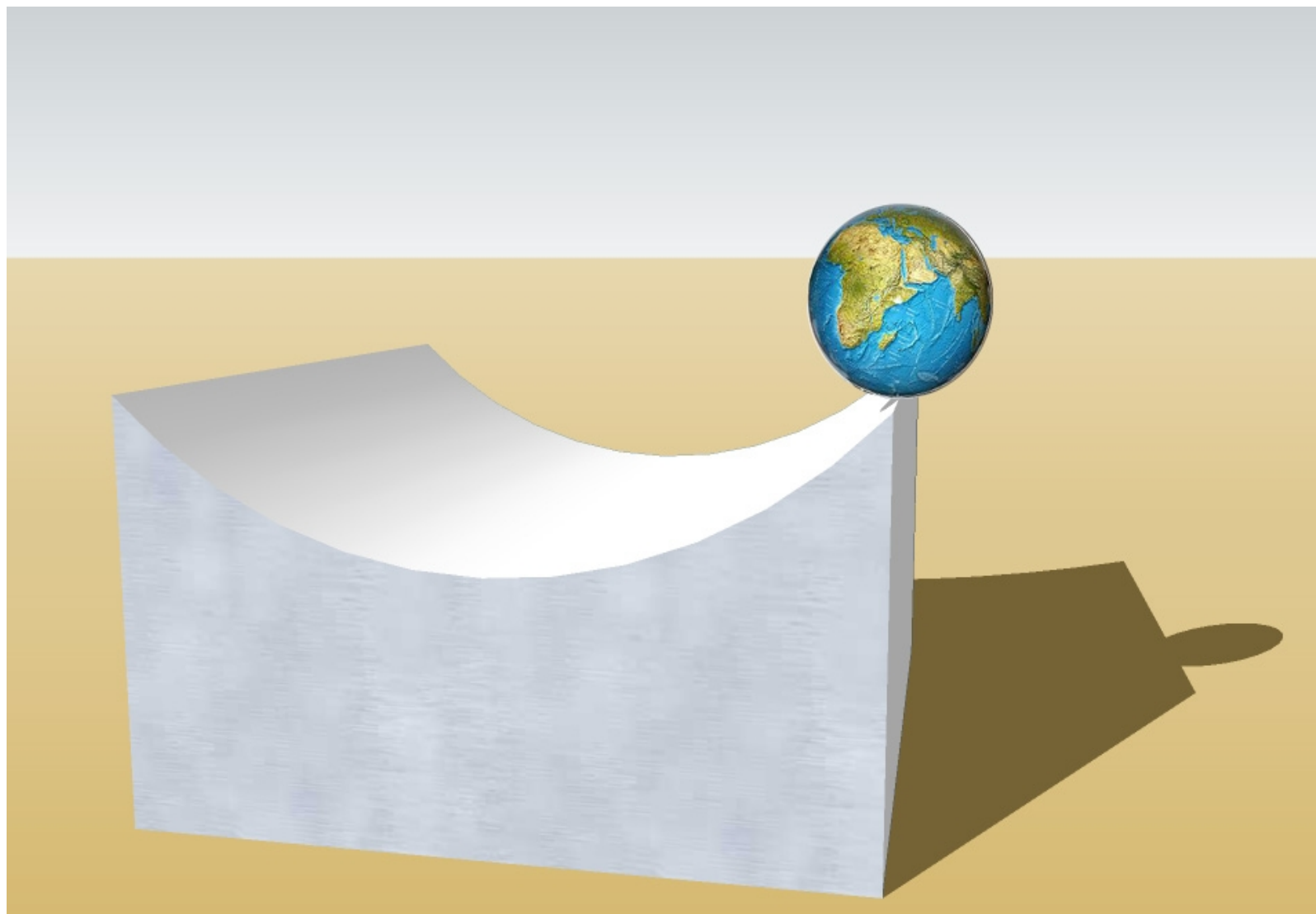
...however, the measured value resembles very much the typical “sibylline answer” of the ancient oracles.

As already shown by the SM fit, and as I will illustrate more in the following, it is hard to conceive a more ambiguous situation than the one we have after the LHC8 results:

- $m_h = 125 - 126 \text{ GeV}$
- no evidences of physics beyond the SM



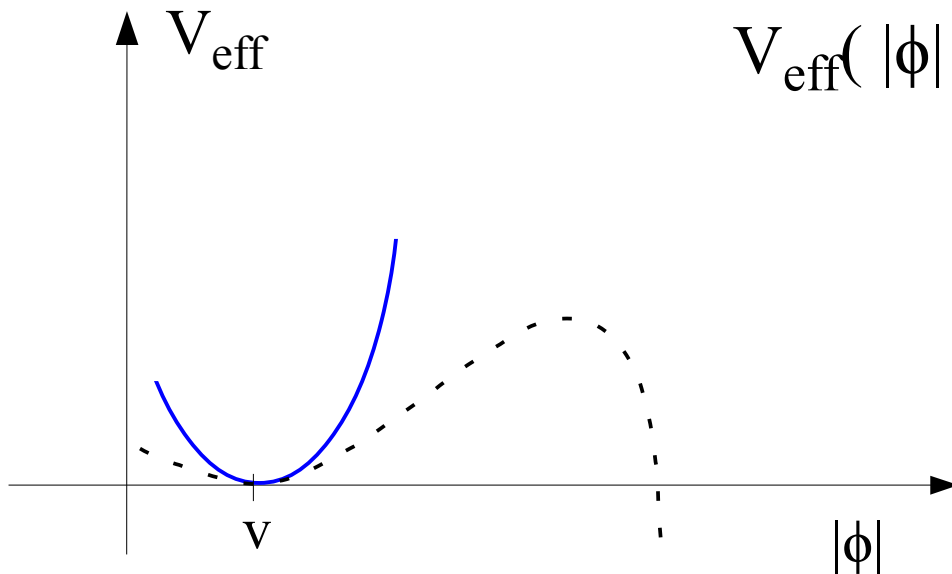
► *The Higgs mass and the fate of the SM vacuum*



► The Higgs mass and the fate of the SM vacuum

In principle, an unambiguous indication for New Physics (and an upper bound on the NP scale) could have been obtained by the high-energy behavior of the Higgs potential:

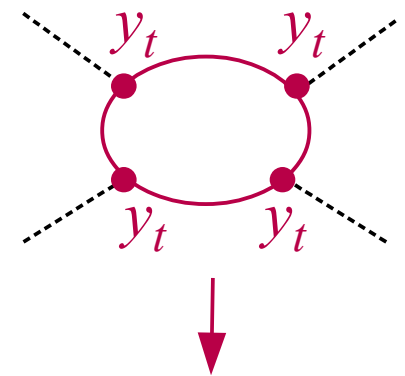
At large field values:



$$V_{\text{eff}}(|\phi| \gg v) \approx \lambda(|\phi|) \times |\phi|^4 + \mathcal{O}(v^2|\phi|^2)$$

$$\lambda(v) \propto \frac{m_h^2}{v^2}$$

$$y_t(v) \propto \frac{m_t}{v}$$



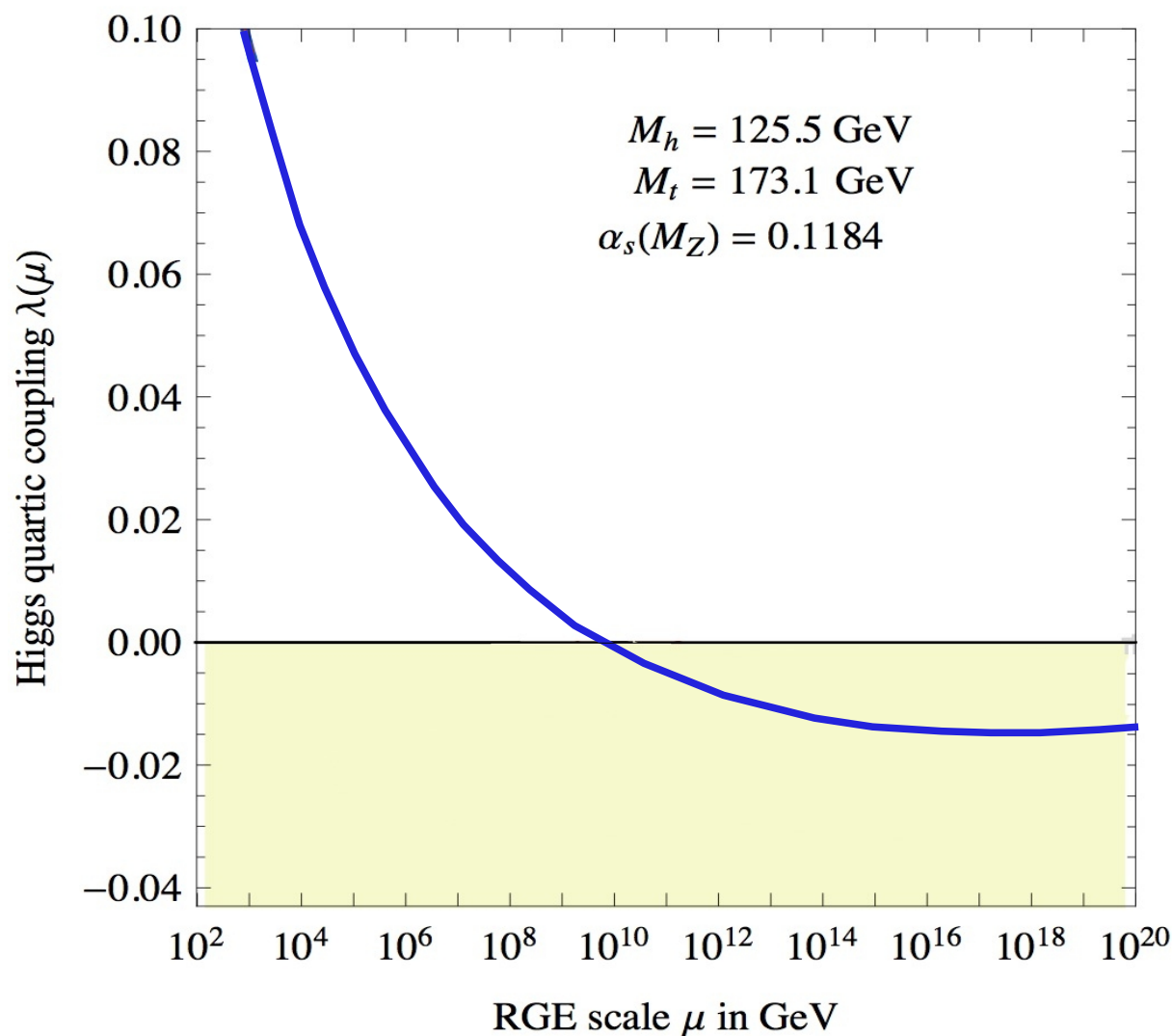
decreasing  $\lambda$   
at large energies

A too-light  $m_h$  could imply an  
unstable Higgs potential → need for NP

Cabibbo, Maiani, Parisi, Petronzio, '79;  
Hung '79; Lindner 86; Sher '89; ....

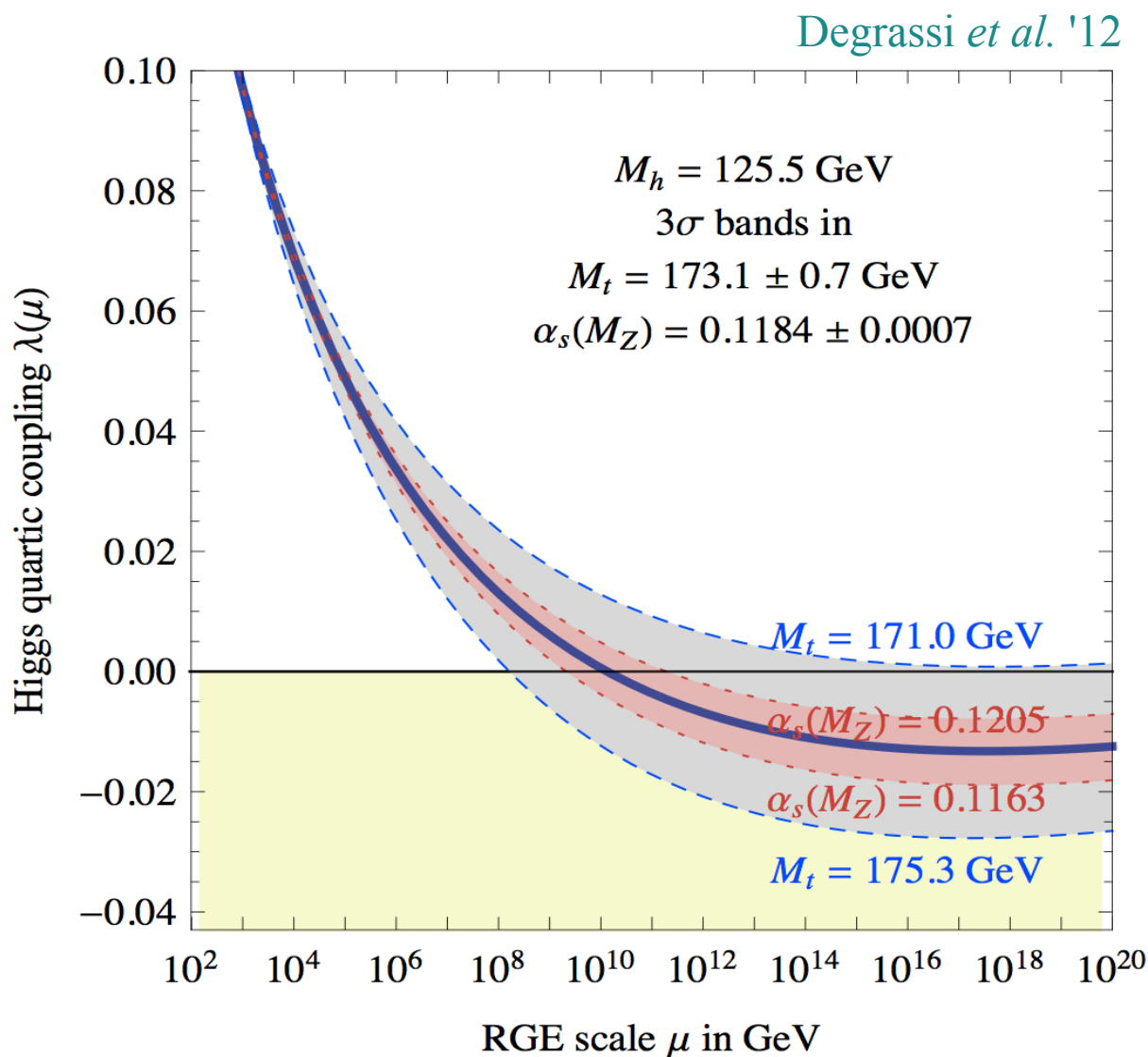
► *The Higgs mass and the fate of the SM vacuum*

This is indeed what happens for  $m_h \approx 125 \text{ GeV}$  and  $m_t \approx 173 \text{ GeV}$  !



► The Higgs mass and the fate of the SM vacuum

This is indeed what happens for  $m_h \approx 125$  GeV and  $m_t \approx 173$  GeV ...



...however, unfortunately (?) this is not enough to unambiguously claim the need of NP:

- The present error on  $m_t$  does not allow us to exclude at more than  $3\sigma$  that  $\lambda > 0$  up to  $M_{\text{Planck}}$
- Even for the central values of  $m_h$  and  $m_t$ , the Higgs potential remains sufficiently metastable

► *The Higgs mass and the fate of the SM vacuum*

The metastability condition: even if the potential has a second deeper minimum, the model is consistent with observations (= no need for NP) if the lifetime of the (unstable) e.w. minimum is longer than the age of the Universe

The e.w. minimum is destabilized by:

Quantum fluctuations (at  $T=0$ )

computable in a  
model-independent way

Thermal fluctuations

the probability depends on the thermal  
history of the universe & competes with  
the quantum tunneling only for very high  $T$

► The Higgs mass and the fate of the SM vacuum

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Most conservative bound

$$p = \max_R \frac{V_U}{R^4} \exp \left[ -\frac{8\pi^2}{3|\lambda(1/R)|} + \begin{array}{l} \text{tiny} \\ \text{higher-order} \\ \text{terms} \end{array} \right]$$

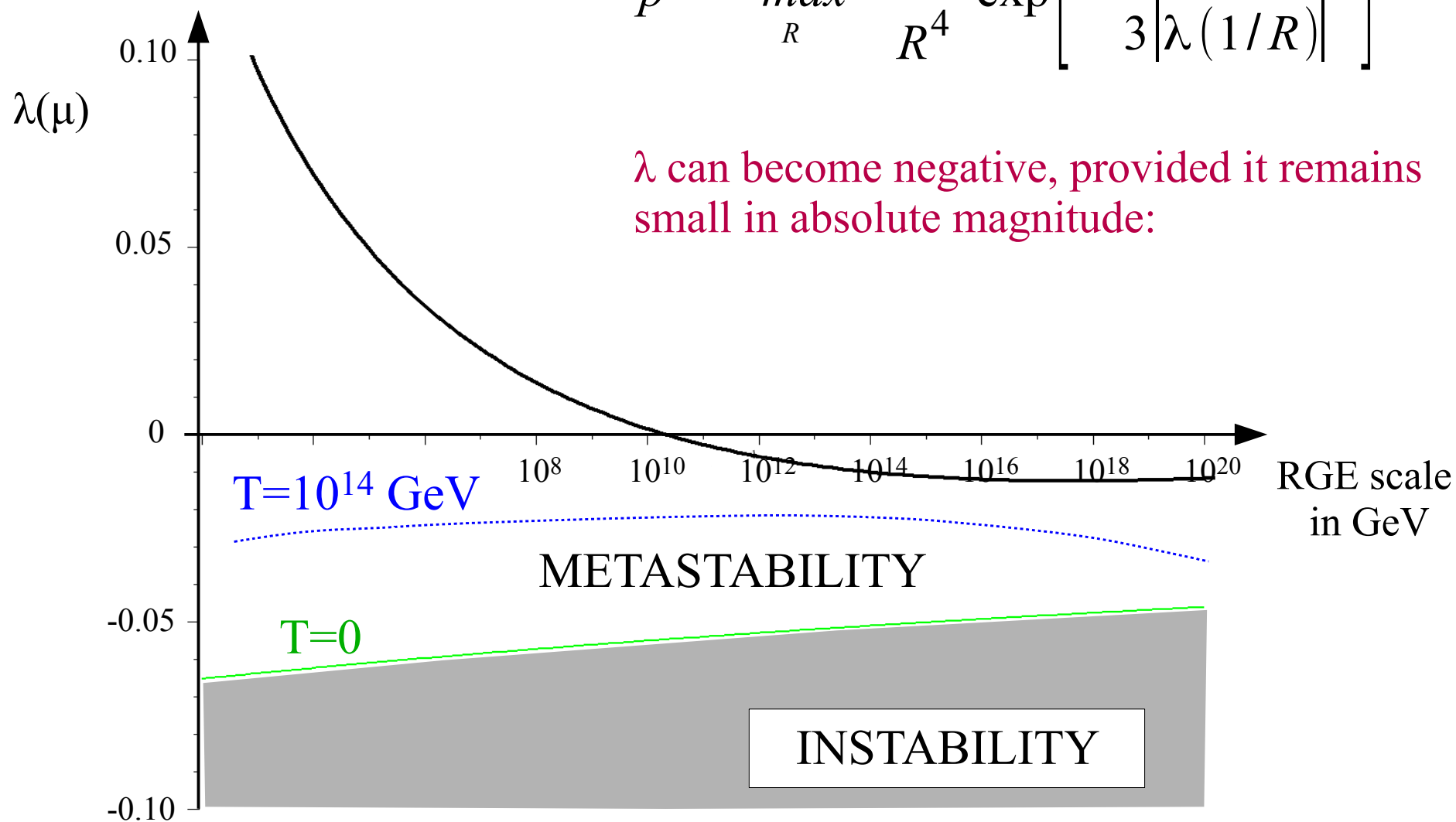
G.I., Ridolfi,  
Strumia '01

The tunneling is dominated by “bounces” of size  $R$ , such that  $\lambda(1/R)$  reaches its minimum value:  $\lambda$  can become negative, provided it remains small in magnitude.

► The Higgs mass and the fate of the SM vacuum

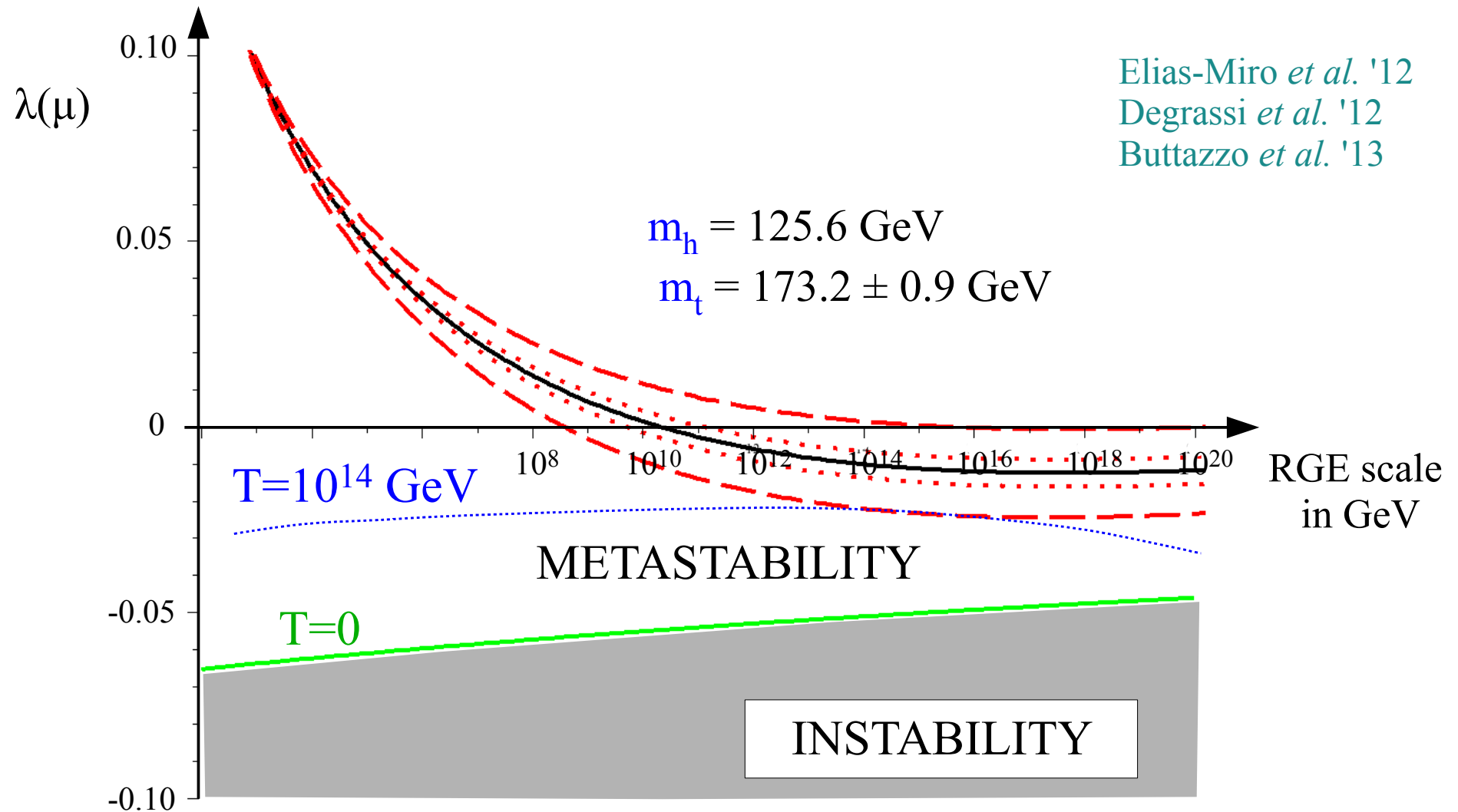
The metastability condition

$$p \approx \max_R \frac{V_U}{R^4} \exp \left[ -\frac{8\pi^2}{3|\lambda(1/R)|} \right]$$





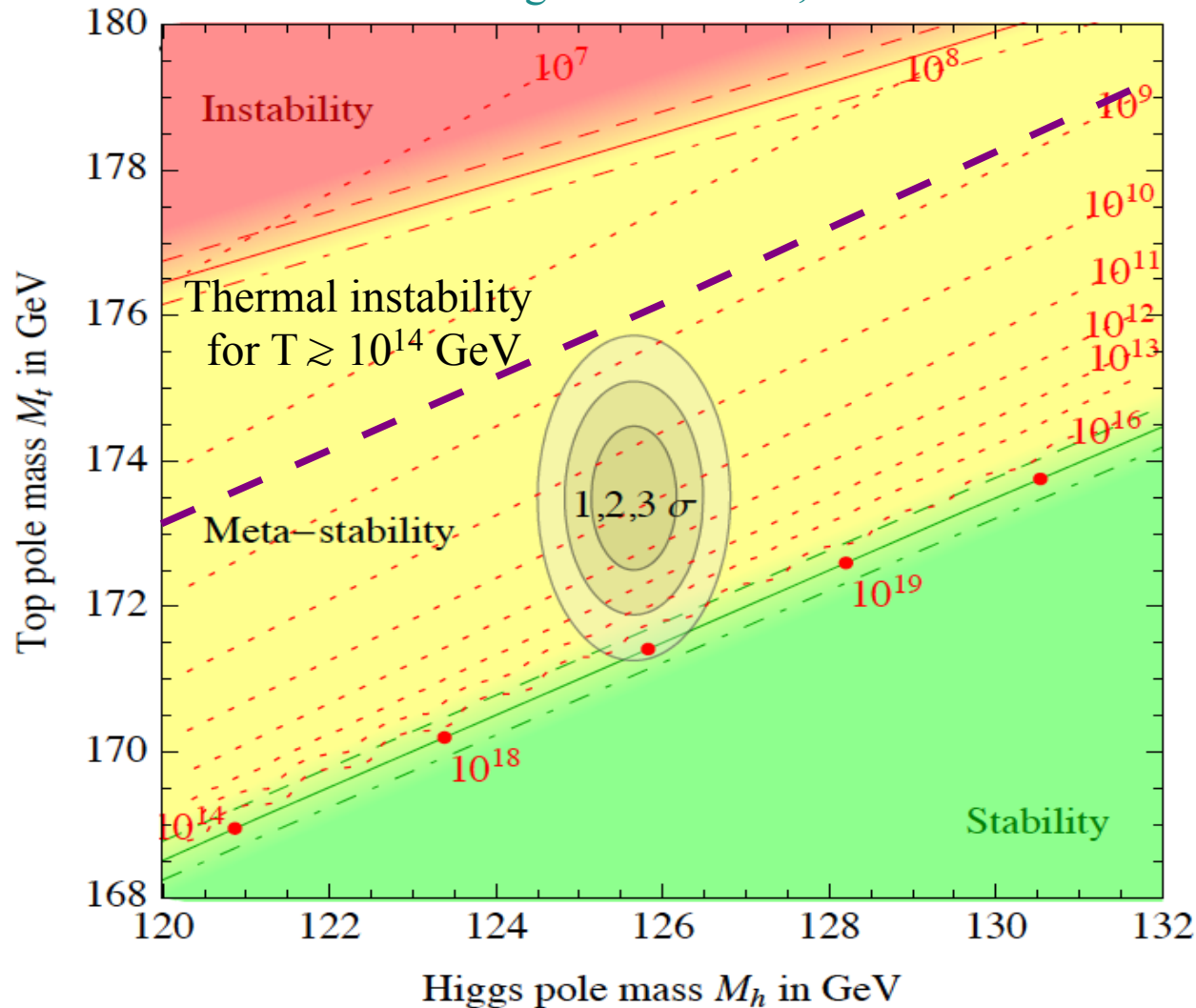
**Message n.2:** For  $m_h \approx 125-126$  GeV and the present central value of  $m_{\text{top}}$ , the SM vacuum is unstable but sufficiently long-lived, compared to the age of the Universe  $\rightarrow$  **no need of NP below  $M_{\text{Pl}}$  to stabilize the SM vacuum**



► The Higgs mass and the fate of the SM vacuum

The relation between Higgs and top masses from vacuum stability is now known at the NNLO accuracy, with a negligible theoretical error:

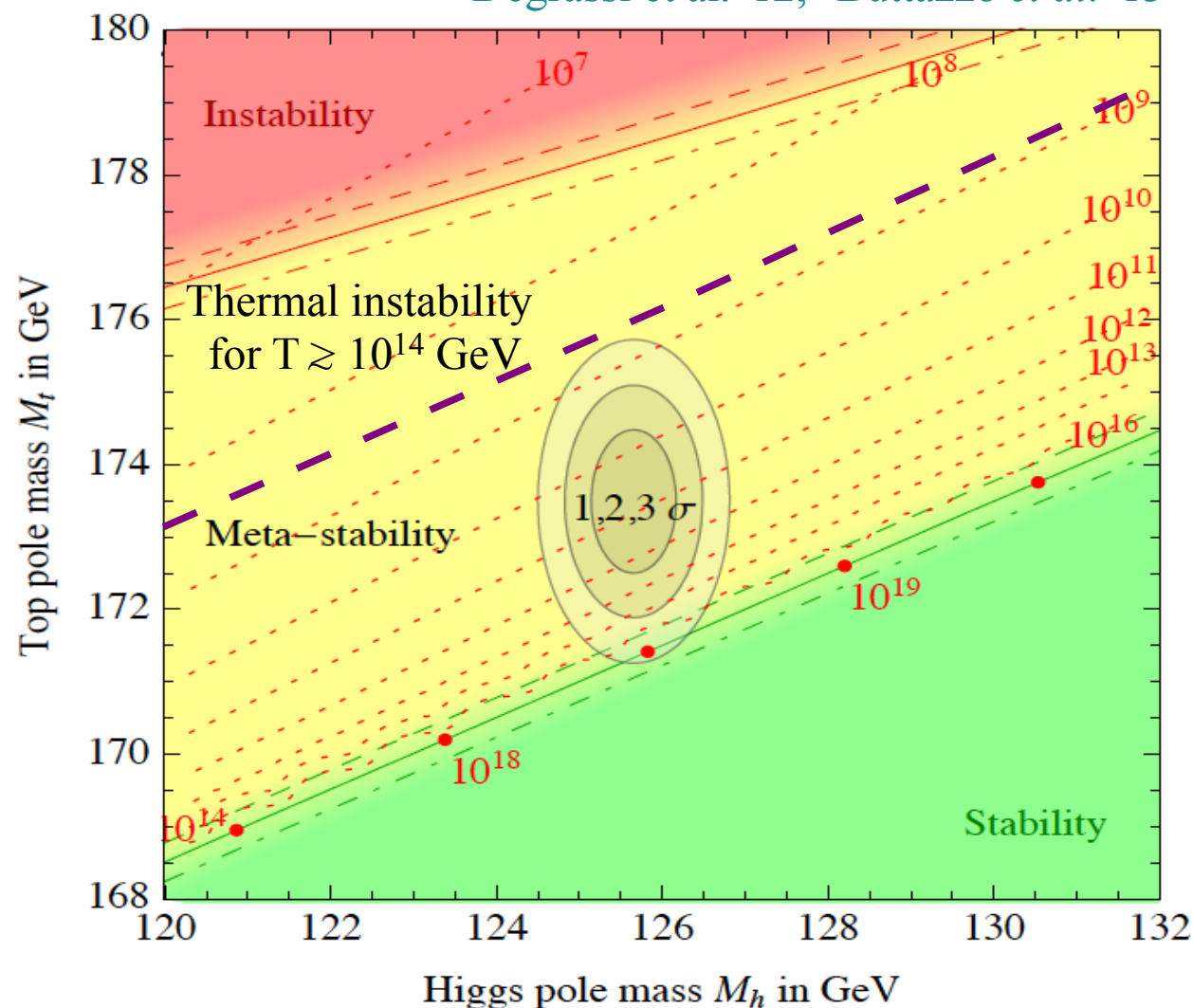
Degrassi et al. '12, Buttazzo et al. '13



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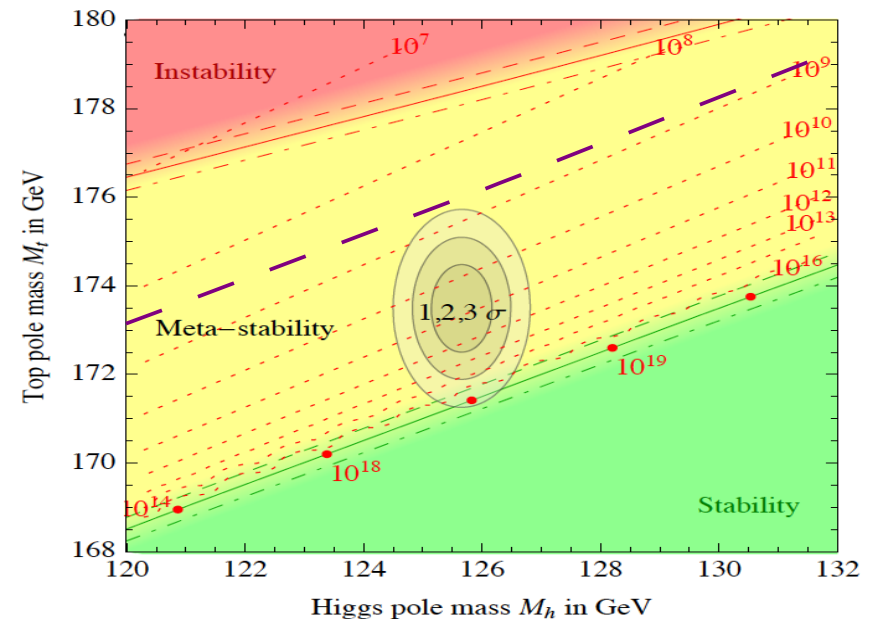
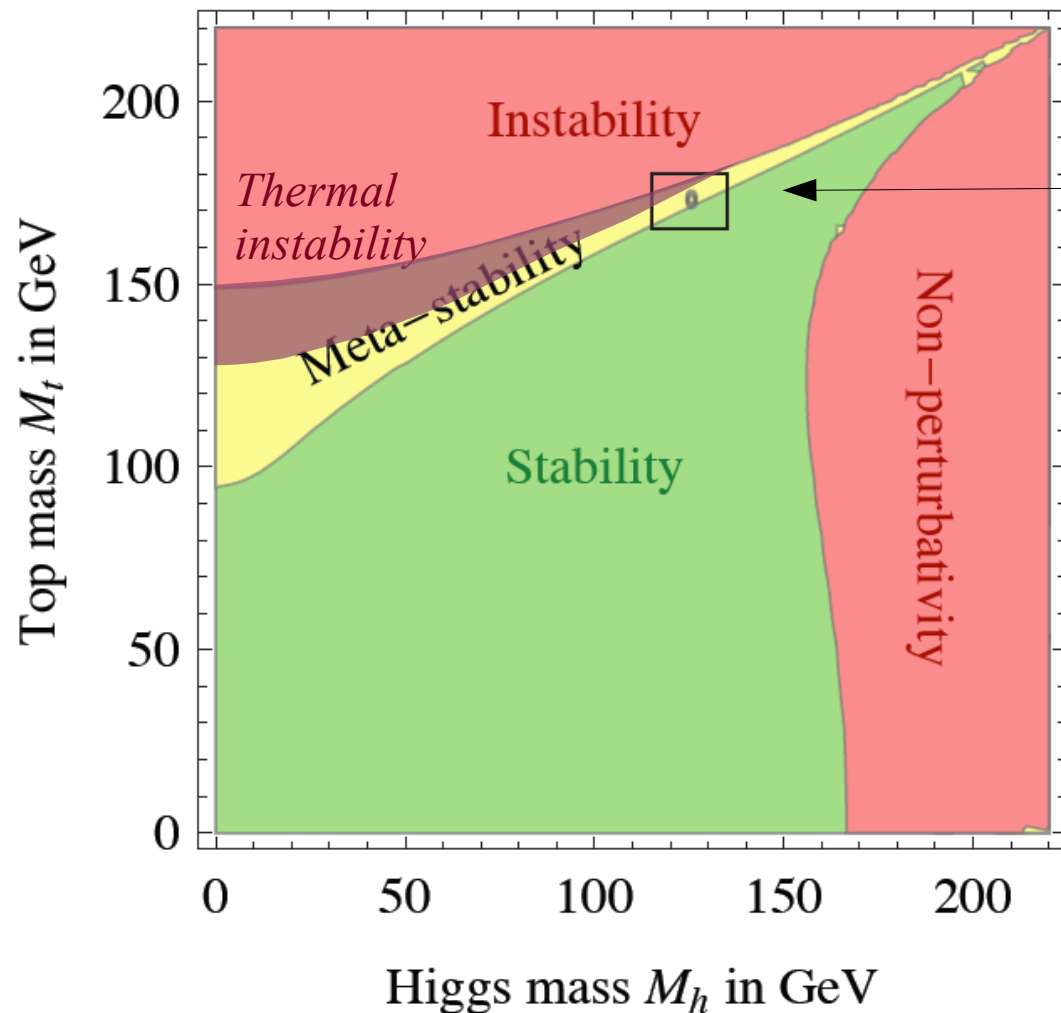
The error on  $m_h$  will soon go down  $\rightarrow$  main uncertainty induced by the top mass.

The  $m_t$  presently determined by ATLAS, CMS, Tevatron is not really the pole mass...

Hoang & Stewart, '07-'08  
Alekhin, Djouadi, Moch '12,

... but nice convergence to the same  $m_t$  of several indep. measurements by CMS & ATLAS  $\rightarrow$  small non-perturbative errors

► The Higgs mass and the fate of the SM vacuum



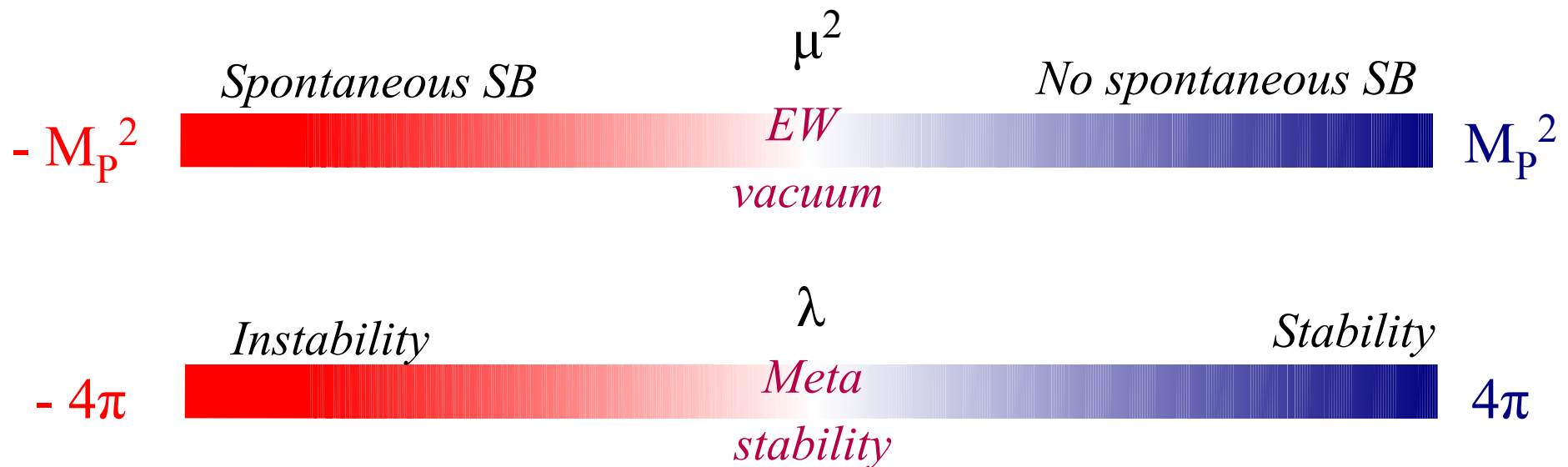
Froggatt, Nielsen, Takanishi, '01  
 Arkani-Hamed *et al.*, '08  
 Shaposhnikov, Wetterich, '10  
 +  
 many recent papers...

Looking at the plane from a more distant perspective, it appears more clearly that “we live” in a quite “peculiar” region...

► The Higgs mass and the fate of the SM vacuum

It seems that the Higgs potential is “doubly tuned” around two “critical values”:

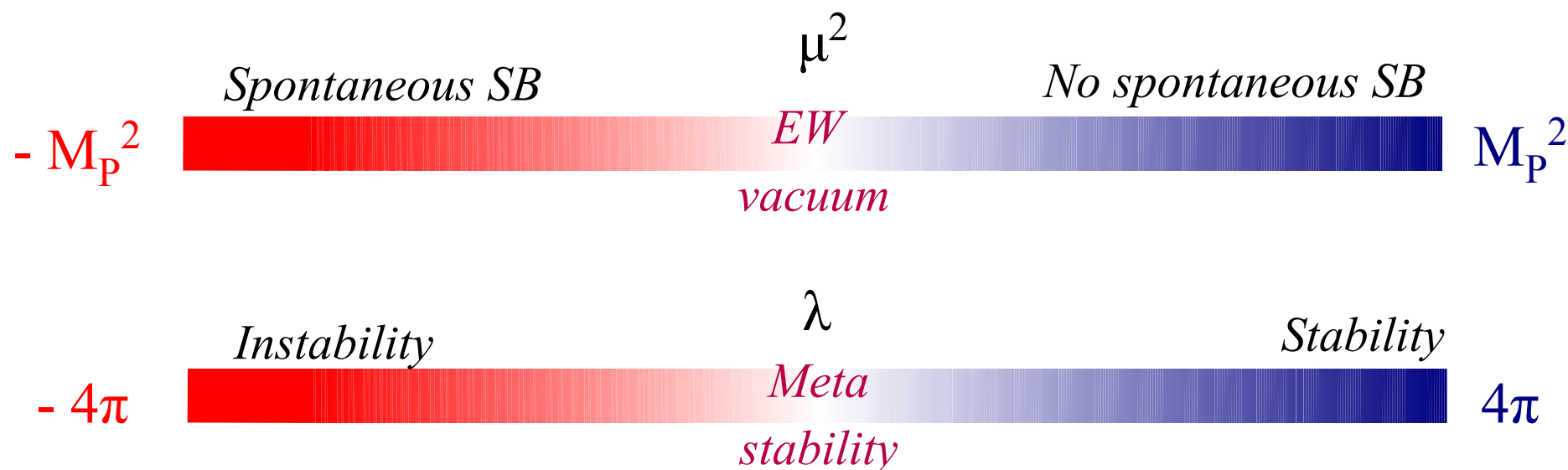
$$V(\phi) = -\mu^2 \phi^+ \phi + \lambda (\phi^+ \phi)^2$$



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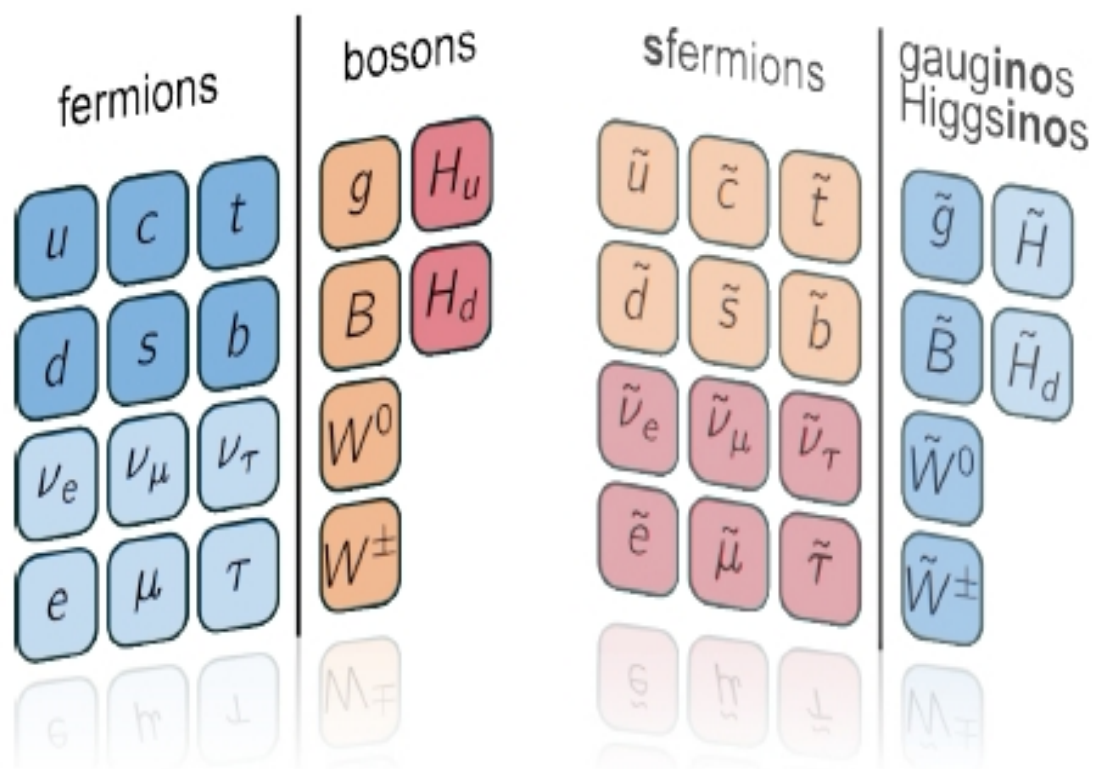
Close analogy with the cosmological constant [ $3^{\text{rd}}$  critical parameter]

Is it an indication of some [*not completely understood yet*] statistical phenomenon occurring at high energies [*“multiverse” + “anthropic selection”*]...

...or it is nothing but a “coincidence”?

## ► Higgs and SUSY

A light Higgs is one of the key predictions of the MSSM...



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A light Higgs is one of the key predictions of the MSSM...

$$\begin{aligned}
 V_{Higgs}^{tree} = & m_1^2 |H_U|^2 + m_2^2 |H_D|^2 + B^2 (H_D H_U + \text{h.c.}) \\
 & + \frac{1}{8} (g_1^2 + g_2^2) (|H_U|^2 - |H_D|^2)^2 + \frac{1}{2} g_2^2 |H_D H_U|^2
 \end{aligned}$$



$$m_h^{tree} < |\cos(2\beta)| m_Z$$



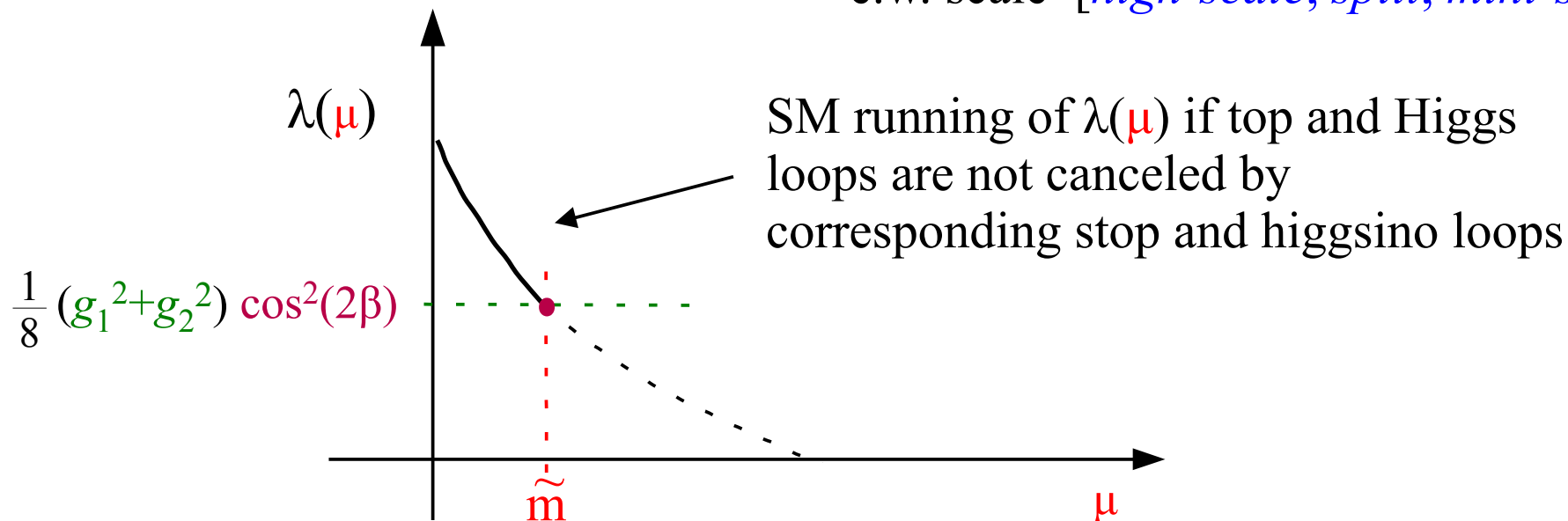
## ► Higgs and SUSY

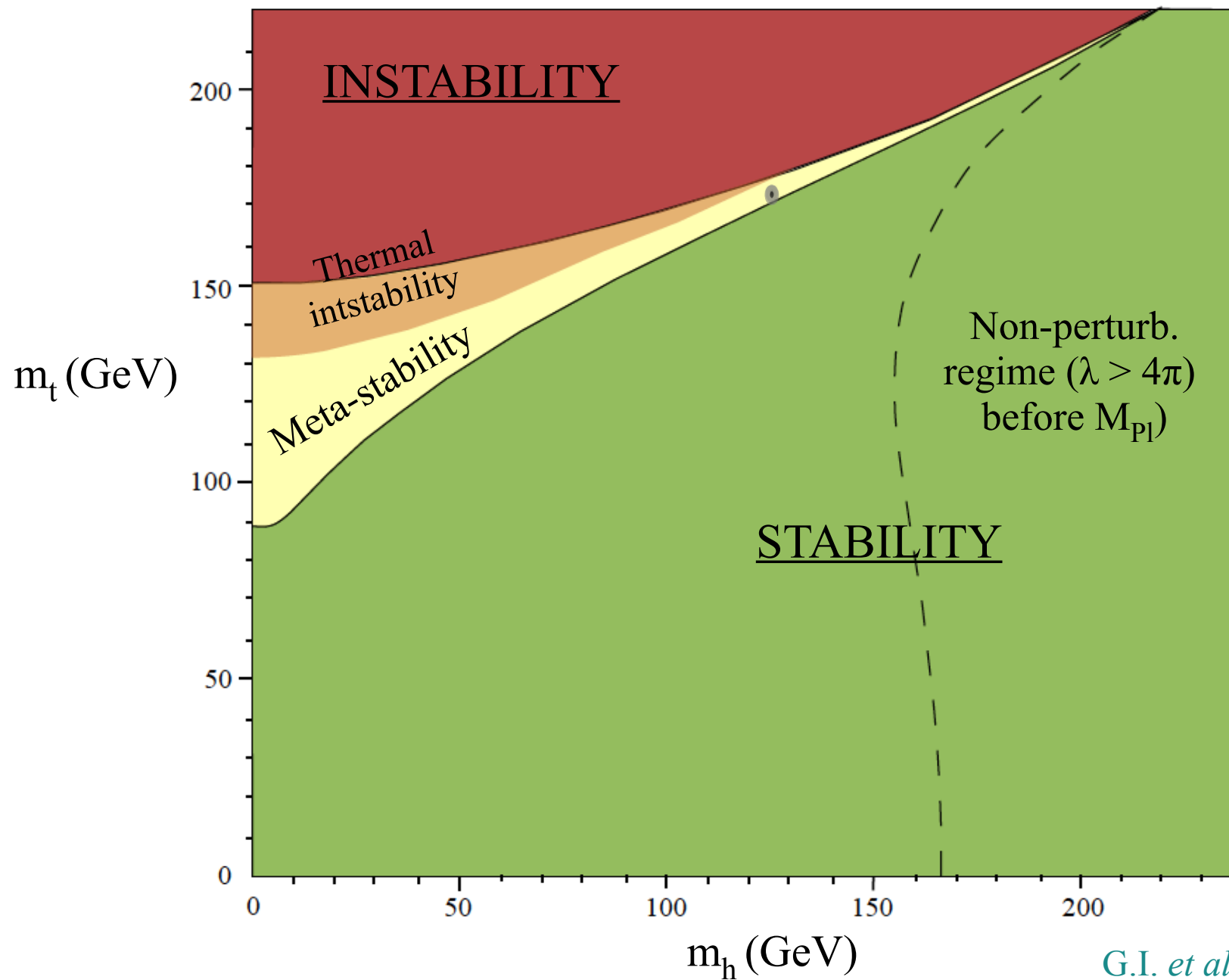
A light Higgs is one of the key predictions of the MSSM...

$$V_{Higgs}^{tree} = m_1^2 |H_U|^2 + m_2^2 |H_D|^2 + B^2 (H_D H_U + \text{h.c.}) \\ + \frac{1}{8} (g_1^2 + g_2^2) (|H_U|^2 - |H_D|^2)^2 + \frac{1}{2} g_2^2 |H_D H_U|^2$$

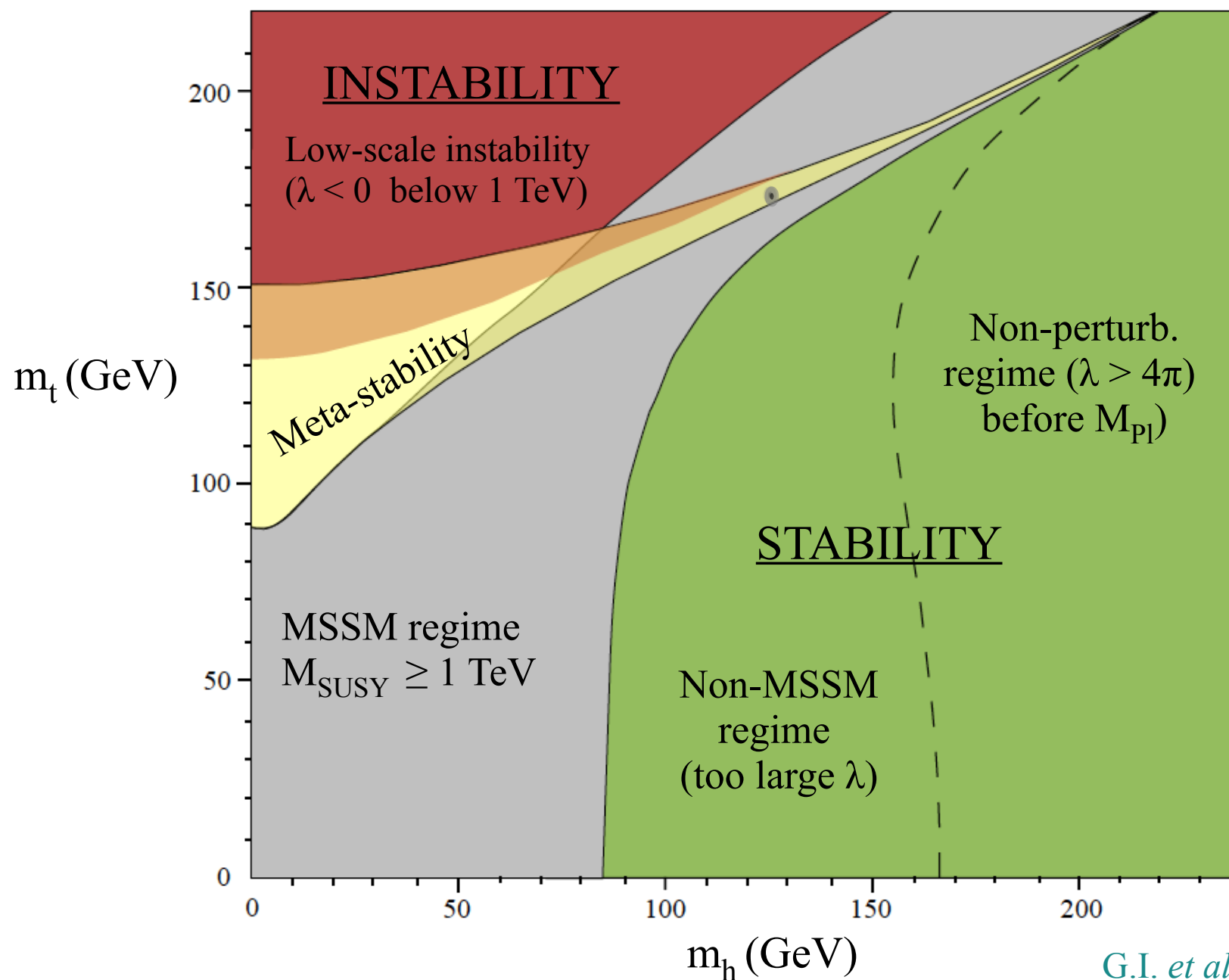
$$m_h^{tree} < |\cos(2\beta)| m_Z$$

This prediction is significantly modified if SUSY partners appear well above the e.w. scale [*high-scale, split, mini-split...*]

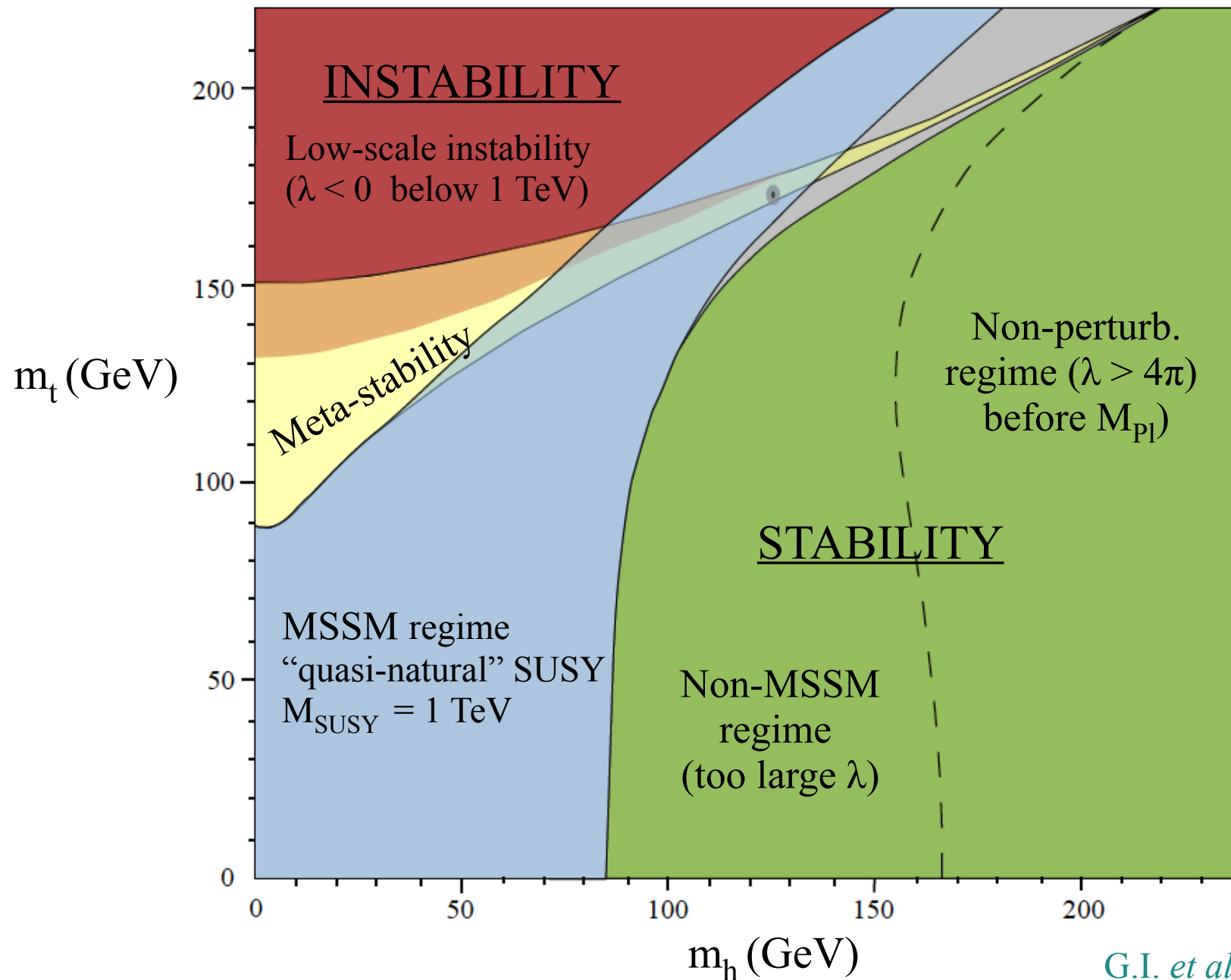


▶ Higgs and SUSY

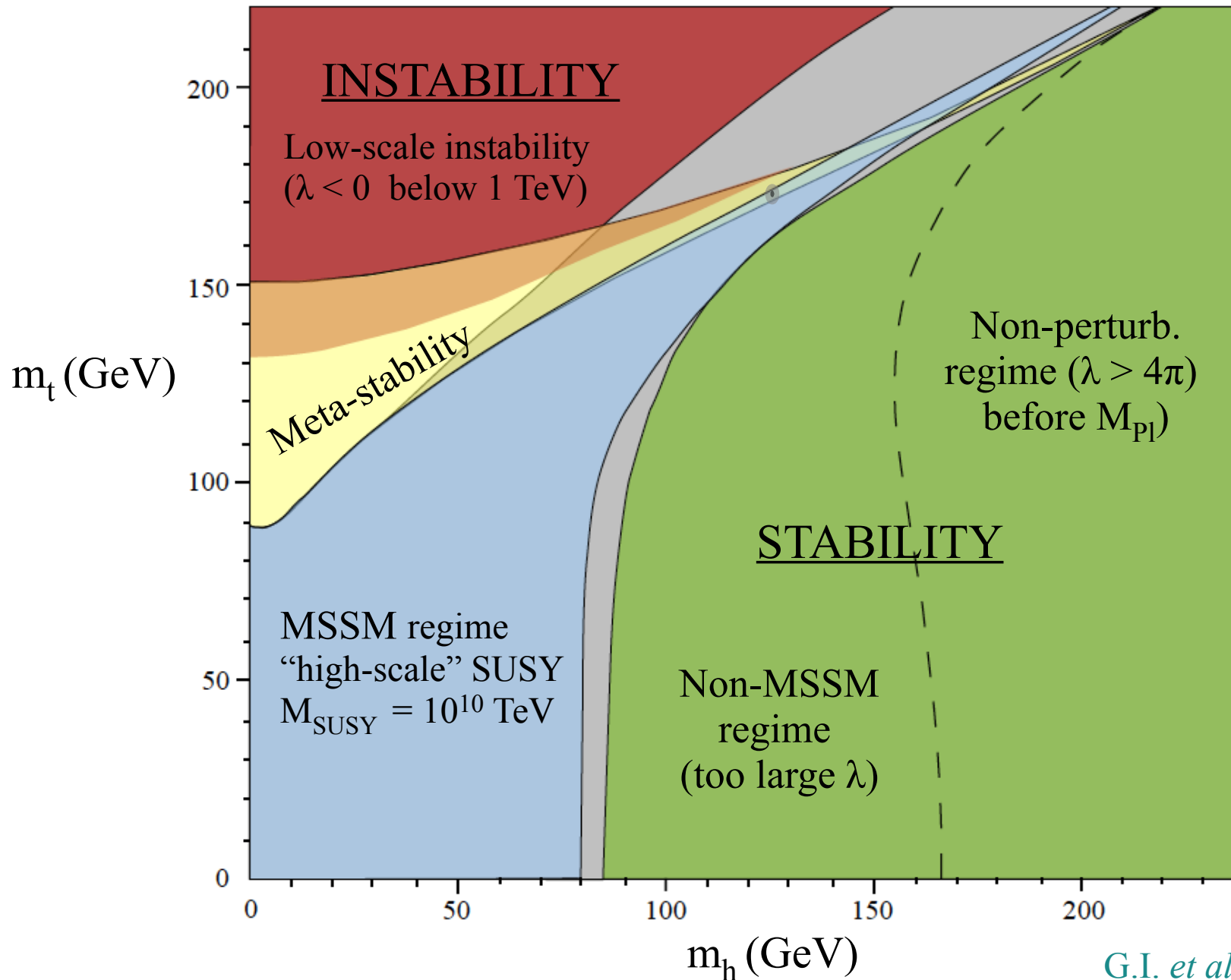
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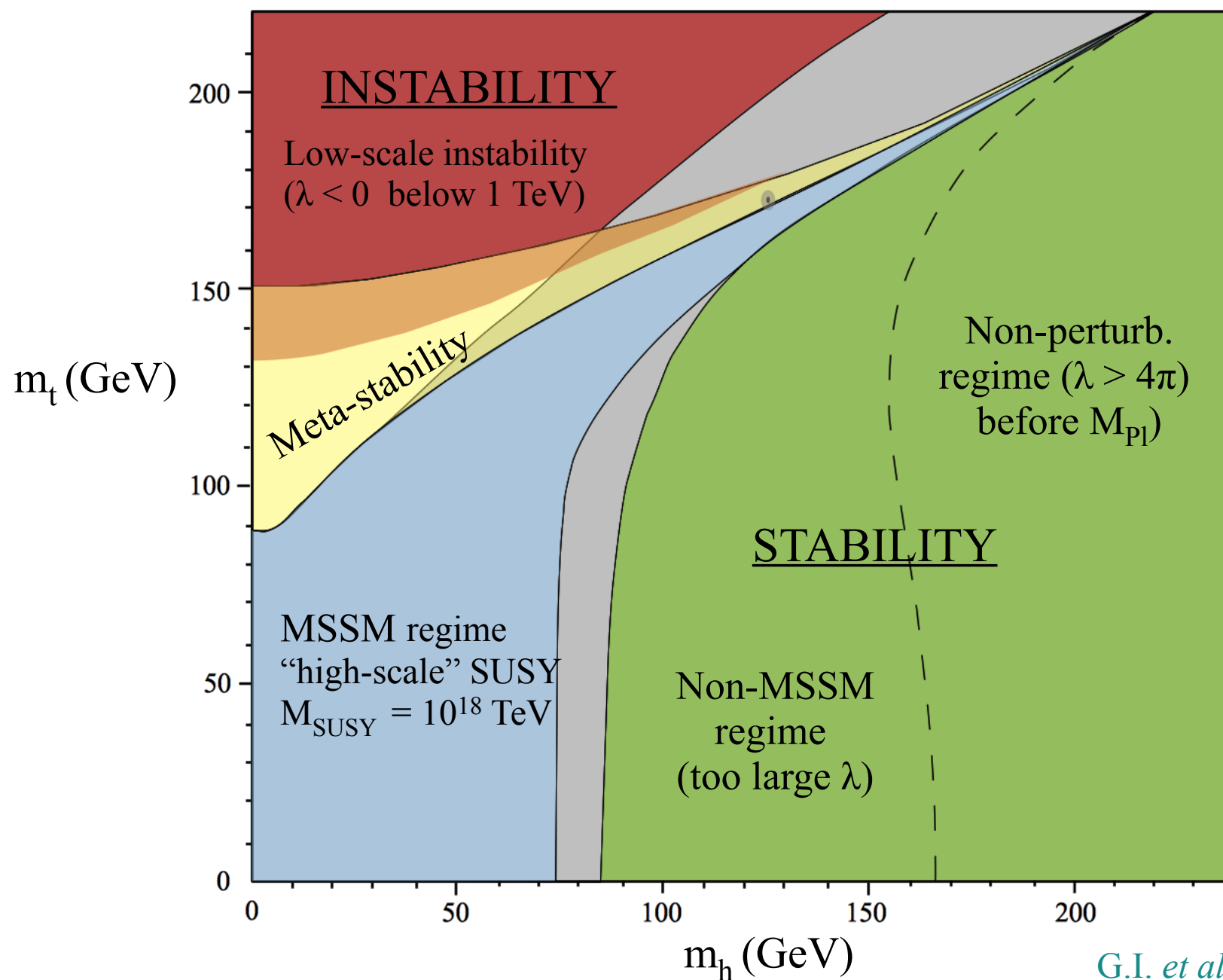
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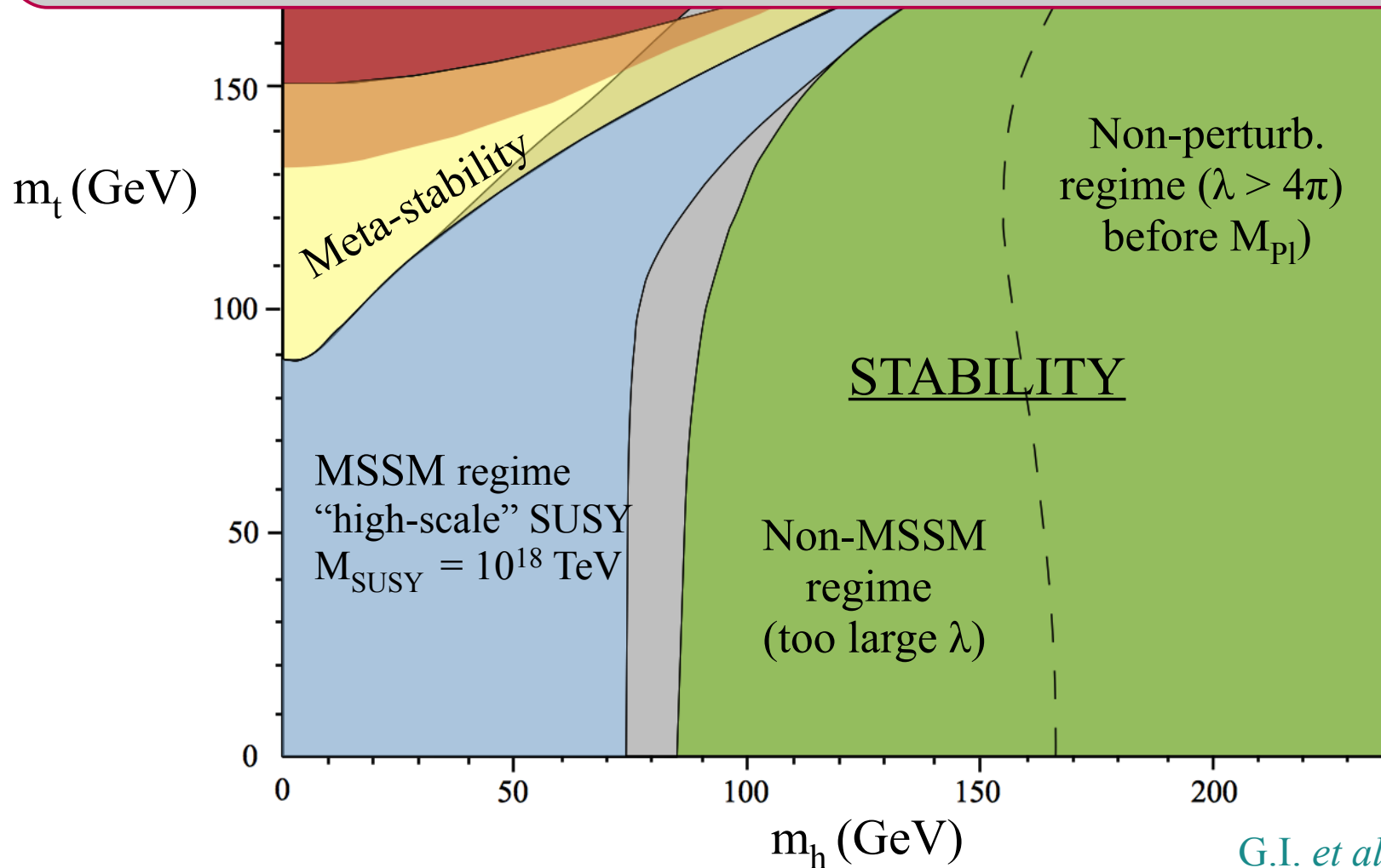


► Higgs and SUSY



► Higgs and SUSY

**Message n.3:** A light SM-like Higgs with  $m_h \approx 125\text{-}126$  GeV fits very well with SUSY, but it gives **no clear clues about the SUSY breaking scale** (beside excluding a too-light SUSY spectrum, in agreement with LHC findings)



► *What's next? Precision Higgs studies*

MORE  
LOVE  
WOULD BE  
BETTER

Higgs observables



► What's next? Precision Higgs studies

The evidence of the new boson, compatible with the properties of the massive excitation of the Higgs field, indicates that the symmetry breaking sector of the effective theory has a minimal and weakly coupled structure...

$$\mathcal{L}_{\text{Symm. Break.}}(\phi, A_a, \psi_i) = D\phi^\dagger D\phi - V(\phi) + \dots$$

$$V(\phi) = -\mu^2 \phi^\dagger \phi + \lambda (\phi^\dagger \phi)^2 + Y^{ij} \psi_L^i \psi_R^j \phi$$

...but we are far from having established that there is nothing else beside the SM (or that the cut-off of SM viewed as an effective theory is very high)



*On general grounds, it is natural to expect possible deviations from the SM in the Higgs sector*



High-precision Higgs physics

**N.B.:** the vast majority (and the less know) couplings of the Higgs field are couplings to the SM fermions

## ► What's next? Precision Higgs studies

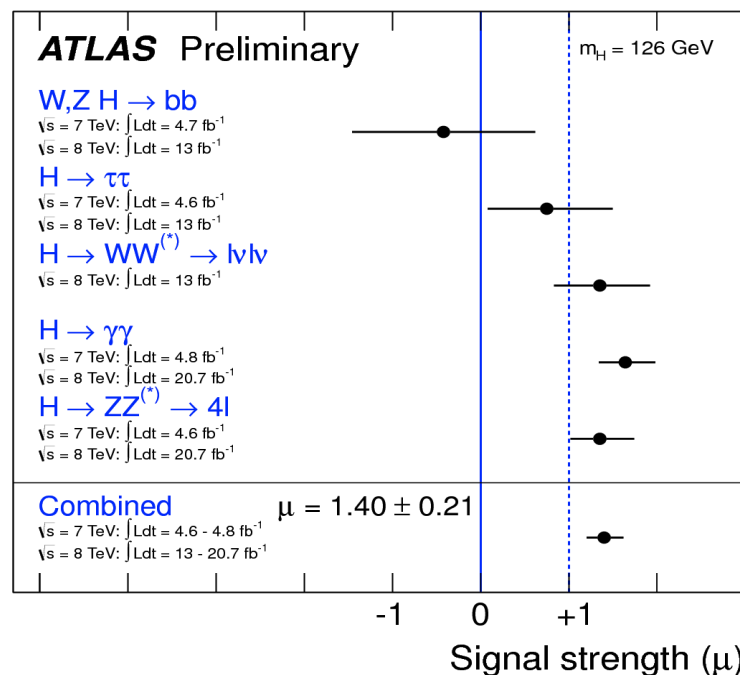
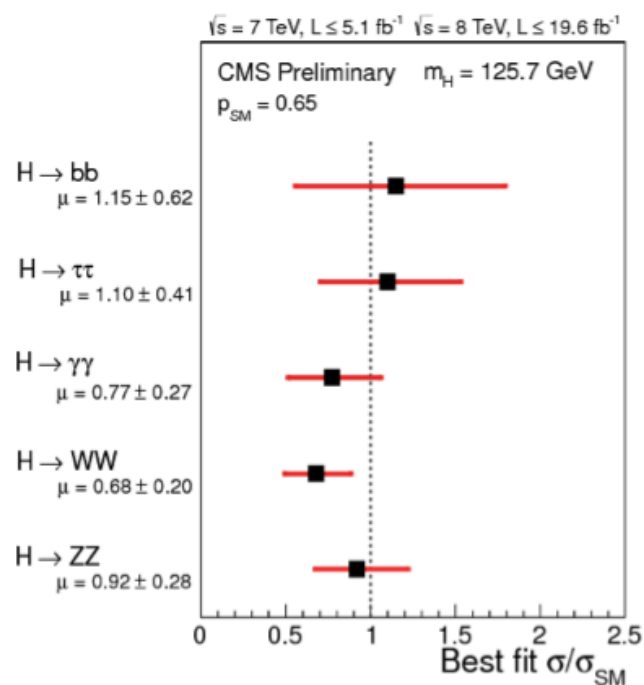
Several attempts in this direction have already started

$$\mathcal{L} = \frac{1}{2}(\partial_\mu h)^2 - \frac{1}{2}m_h^2 h^2 - \frac{d_3}{6} \left( \frac{3m_h^2}{v} \right) h^3 - \frac{d_4}{24} \left( \frac{3m_h^2}{v^2} \right) h^4 \dots$$

$$- \left( m_W^2 W_\mu W_\mu + \frac{1}{2} m_Z^2 Z_\mu Z_\mu \right) \left( 1 + 2a \frac{h}{v} + b \frac{h^2}{v^2} + \dots \right)$$

$$- \sum_{\psi=u,d,l} m_{\psi^{(i)}} \bar{\psi}^{(i)} \psi^{(i)} \left( 1 + c_\psi \frac{h}{v} + c_{2\psi} \frac{h^2}{v^2} + \dots \right) + \dots$$

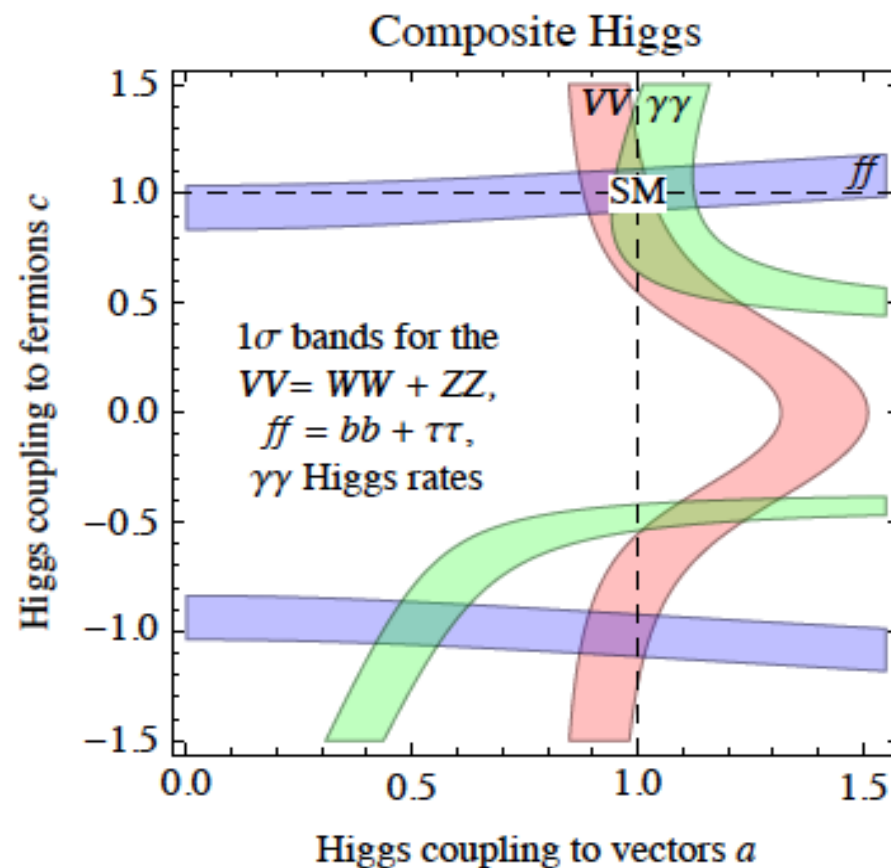
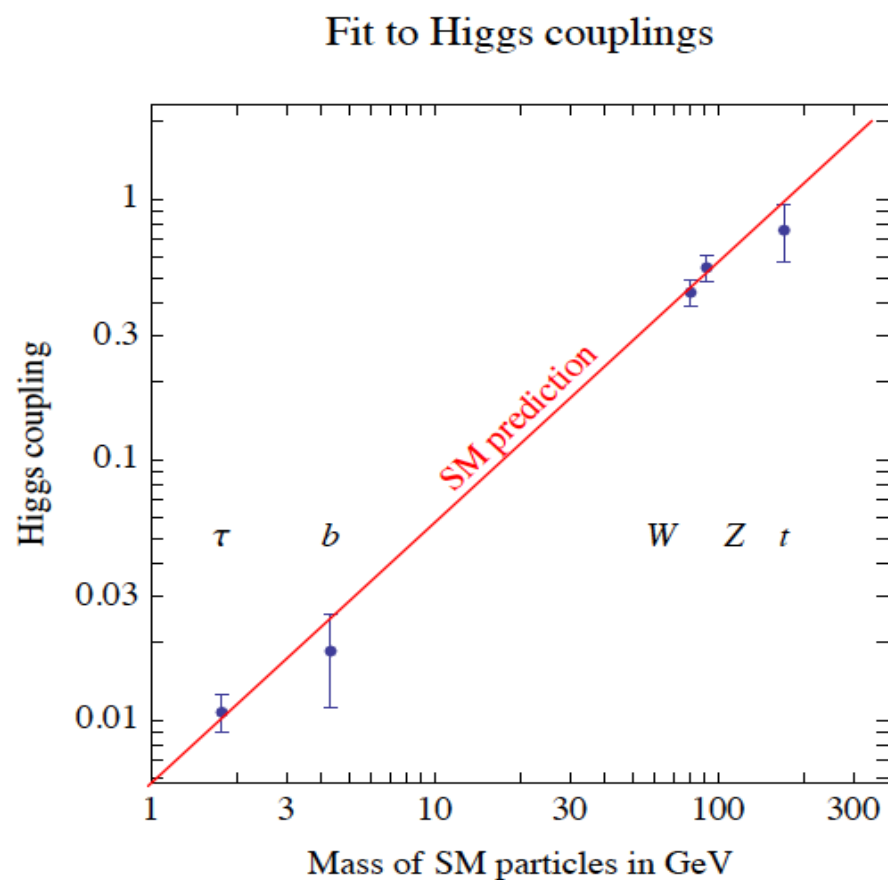
Contino *et al.* '10, '13



## ► What's next? Precision Higgs studies

Several attempts in this direction have already started...

The study of the “signal strengths” in the 5 dominant modes [*and possible fits with reduced n. of parameters*] offers a good tool to test different extensions of the SM:

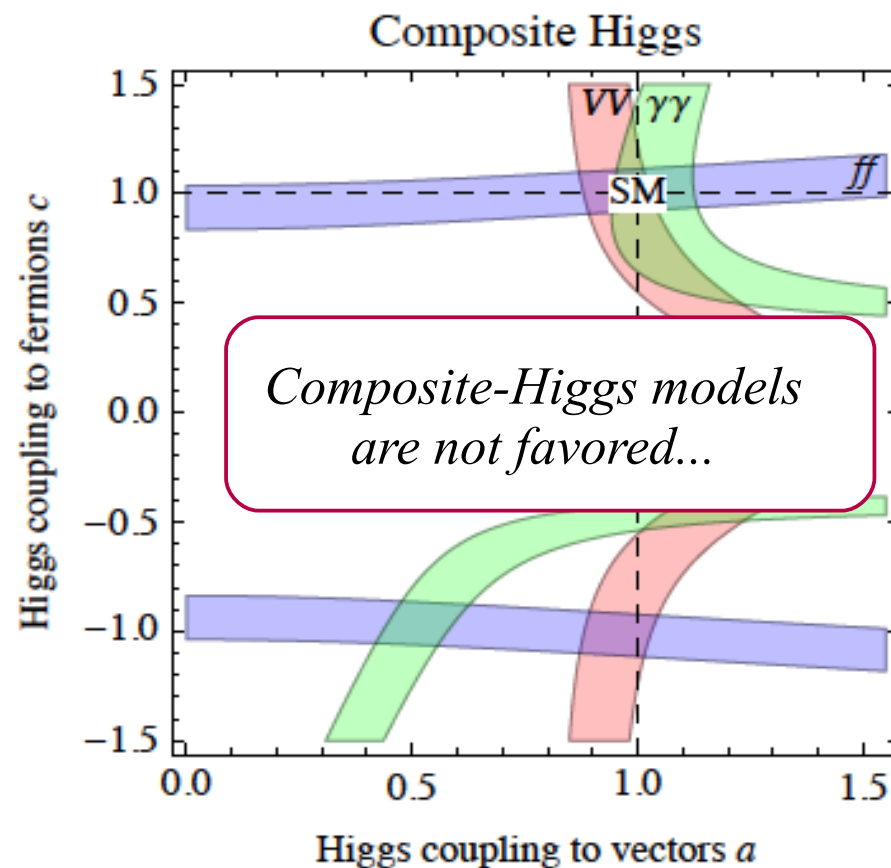
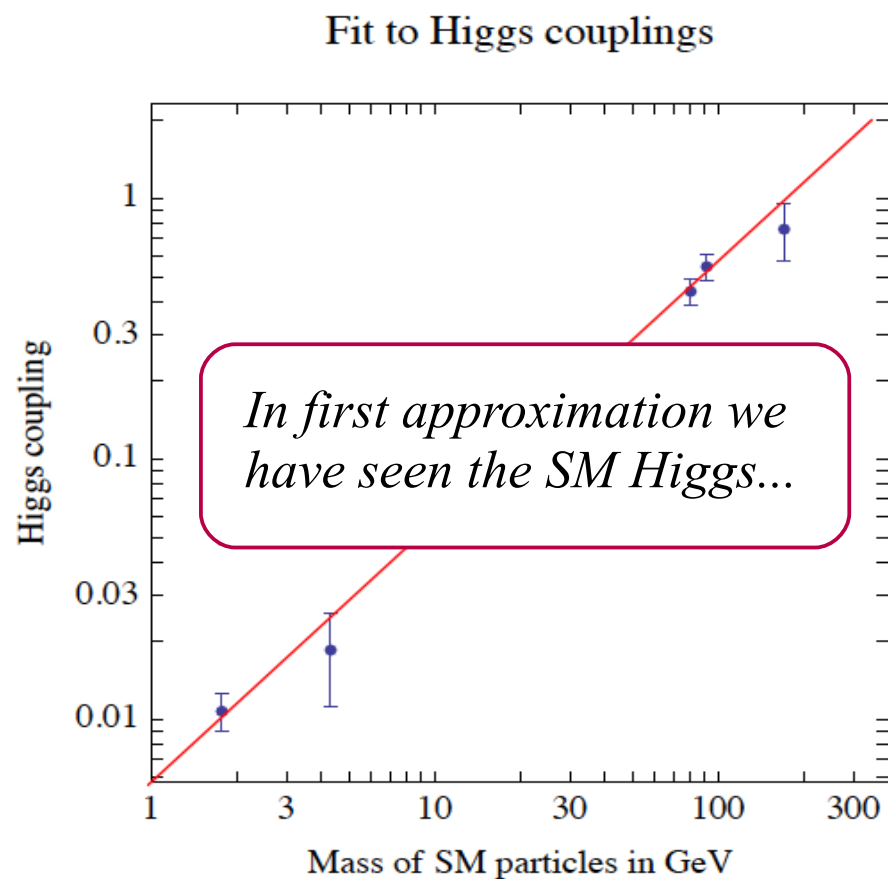


Giardino *et al.* '13 [similar results by many other groups]

## ► What's next? Precision Higgs studies

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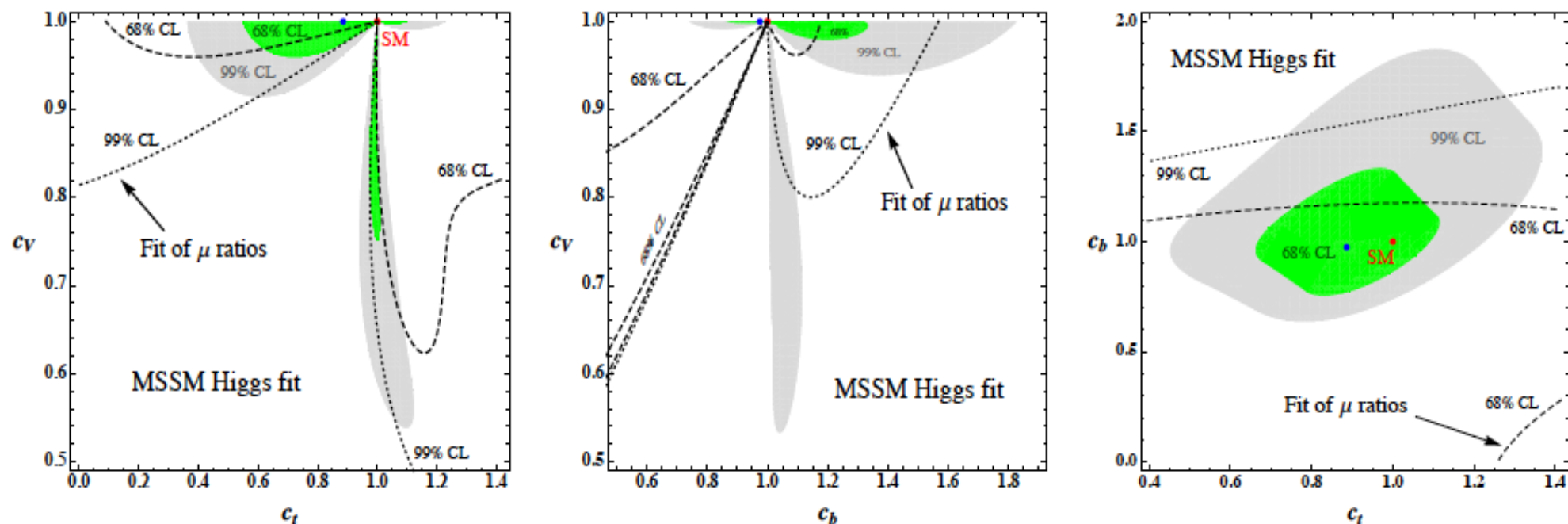
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## ► What's next? Precision Higgs studies

Several attempts in this direction have already started...

The study of the “signal strengths” in the 5 dominant modes [*and possible fits with reduced n. of parameters*] offers a good tool to test different extensions of the SM:



*The MSSM remains in relatively good shape,  
but it is hard to test it looking only at the (light) Higgs couplings...*

Djouadi *et al.* '13

► What's next? Precision Higgs studies

Several attempts in this direction have already started...

...but the peculiar value  $m_h \sim 125 \text{ GeV}$  offers many more interesting tests.

Three (almost)  
unexplored  
directions:

Richness of *3-body amplitudes*  
(and related decay distributions)

GI, Manohar, Trott, '13  
Grinstein *et al.* '13  
GI, Trott, '13

Rare *exclusive*  
*semi-hadronic* decays

Possible new *flavor-violating couplings*  
beside the SM Yukawa couplings

Blankenburg, Ellis, G.I. '12  
Harnik, Koop, Zupan, '12

...

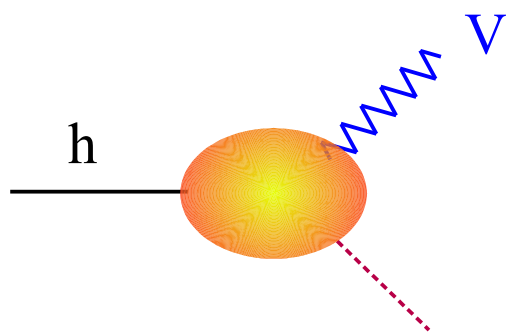
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ATLAS and CMS have reported results about the  $h \rightarrow WW^*$  &  $h \rightarrow ZZ^*$  couplings

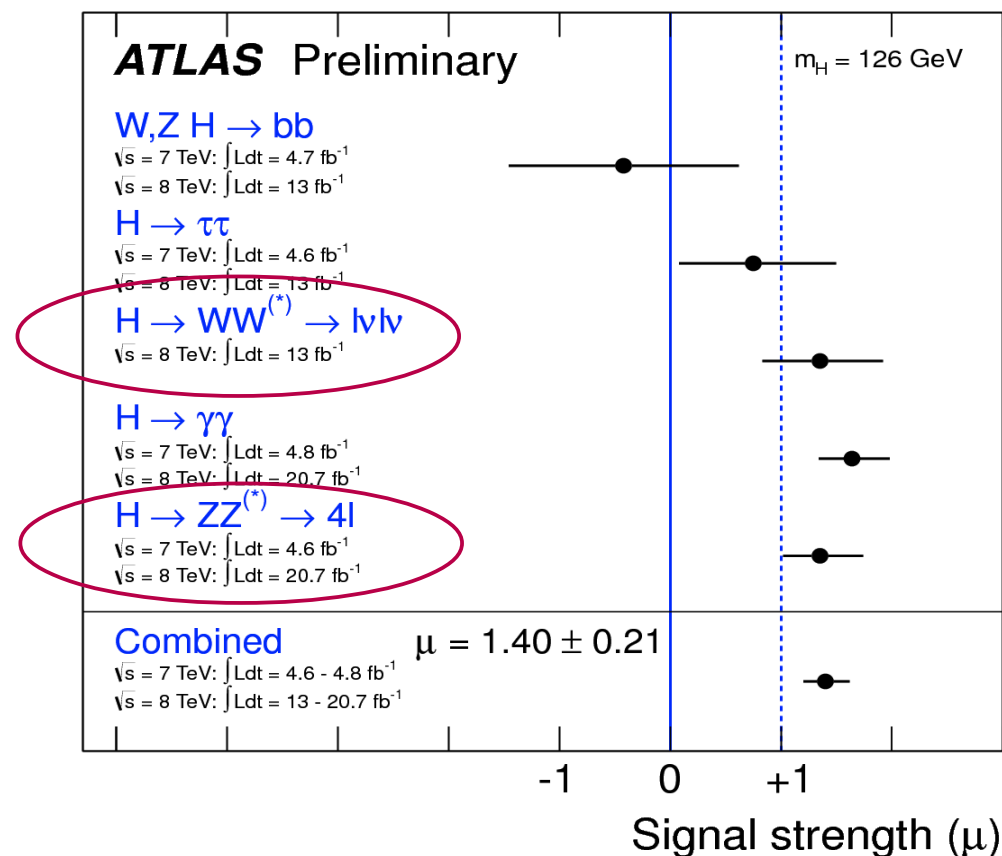
However, what is really measured are 4-lepton modes.

With suitable cuts what can be probed in experiments is the  $h \rightarrow Vff$  amplitude ( $V=W, Z$ ) and, in general,

$$A(h \rightarrow Vff) \neq A(h \rightarrow VV^*)$$



$$J_{\mu}^f = \bar{f} \gamma_{\mu} (v^f + a^f \gamma_5) f$$



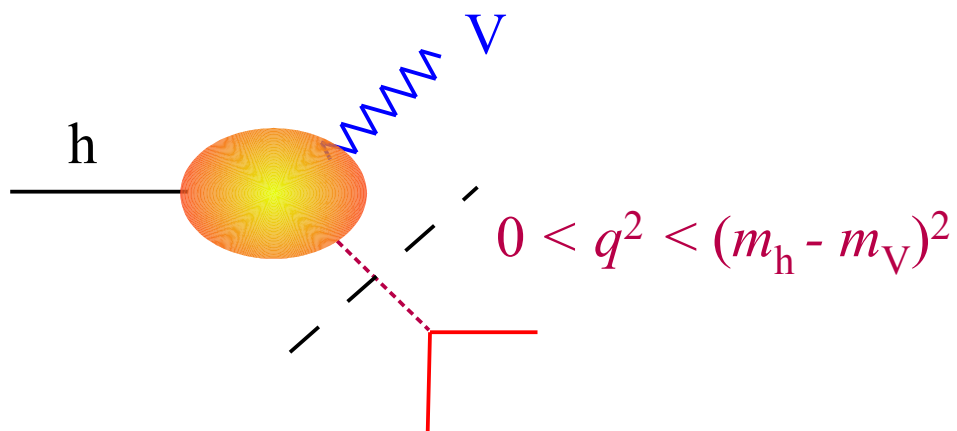
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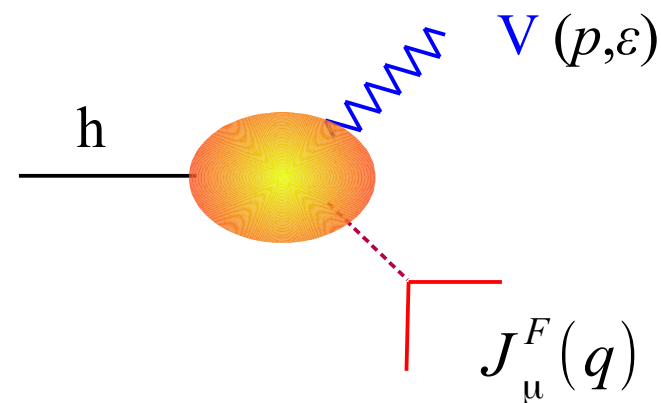
The “offshellness” of the second lepton pair allows to probe a richer dynamical structure:

- We are far enough from the pole of the amplitude at  $q^2 = m_V^2$  (*the only pole within the SM*)
- Measuring the  $q^2$  dependence we could possibly reveal new “**distant poles**” ( $\leftrightarrow$  *contact interactions*) or even new “**light poles**” ( $\leftrightarrow$  *new light states coupled to Higgs & fermions*)



► What's next? Precision Higgs studies

Assuming  $J^{\text{CP}}(h) = 0^+ \rightarrow$  general decomposition of the amplitude in terms of *4 independent form factors*:



$$\mathcal{A}_V^{\mathcal{F}} = C_V g_V^2 m_V \frac{\varepsilon_\mu J_\nu^{\mathcal{F}}}{(q^2 - m_V^2)} \left[ \underbrace{f_1^V(q^2)}_{\text{red}} g^{\mu\nu} + \underbrace{f_2^V(q^2)}_{\text{blue}} q^\mu q^\nu + \underbrace{f_3^V(q^2)}_{\text{green}} (p \cdot q g^{\mu\nu} - q^\mu p^\nu) + \underbrace{f_4^V(q^2)}_{\text{purple}} \epsilon^{\mu\nu\rho\sigma} p_\rho q_\sigma \right]$$

GI, Manohar,  
Trott, '13

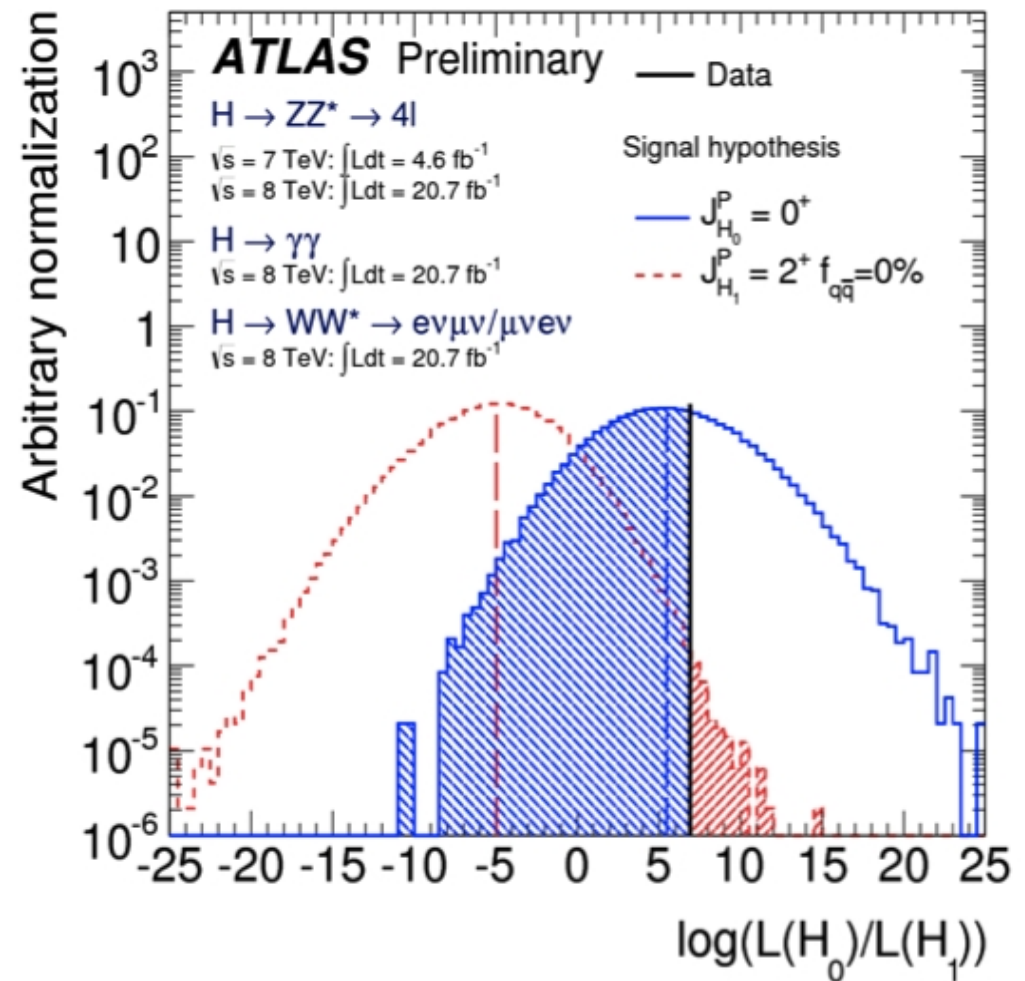
SM limit:  $f_1 = 1$ ,  $f_2 = -1/m_V^2$ ,  $f_{3,4} = 0$

**N.B.:** This structure is more general than what presently used to analyze data (assumption of constant form factors in the “JHU generator”)

► What's next? Precision Higgs studies

So far the  $h \rightarrow 4l$  analysis were focused on determining

- The signal strength (= total rate)
- The  $J^{\text{CP}}$  properties of  $h$  →



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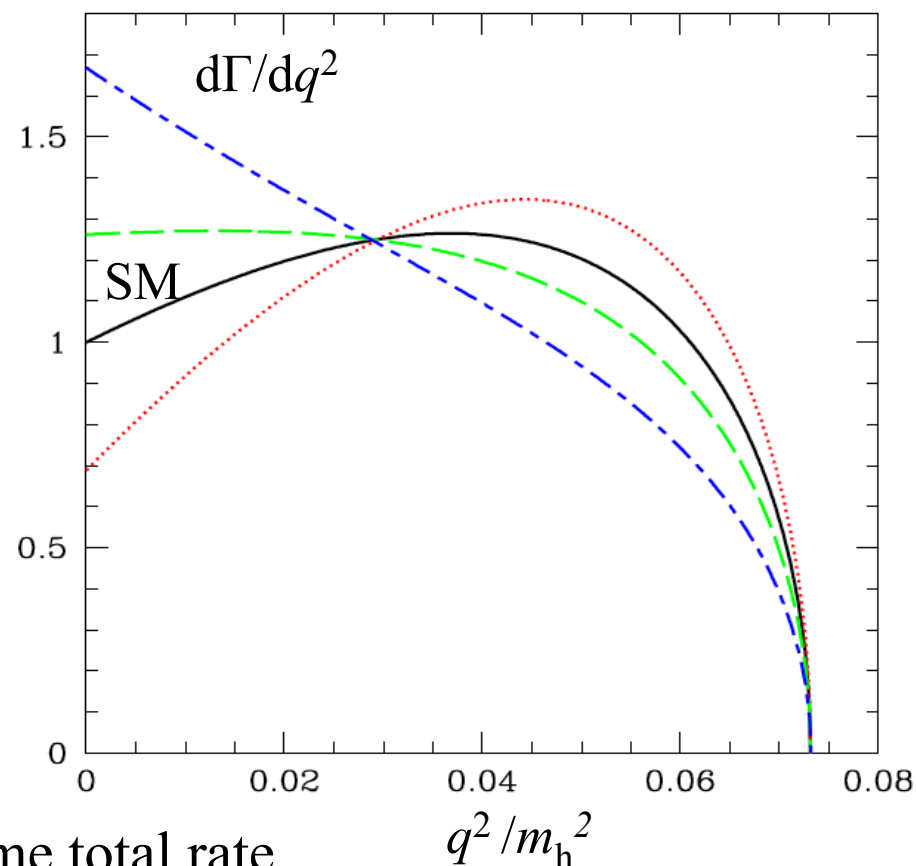
However, we know very little yet about possible modification of the  $q^2=m_{ll}^2$  spectrum, that can easily occur even if  $h$  is a  $0^+$  state

Possible modifications of the spectrum,  
With generic NP  $\sim 1$  TeV, leading to the same total rate

→ significant constraints from EPWO [Ciuchini *et al.*; Pomarol & Riva, '13]

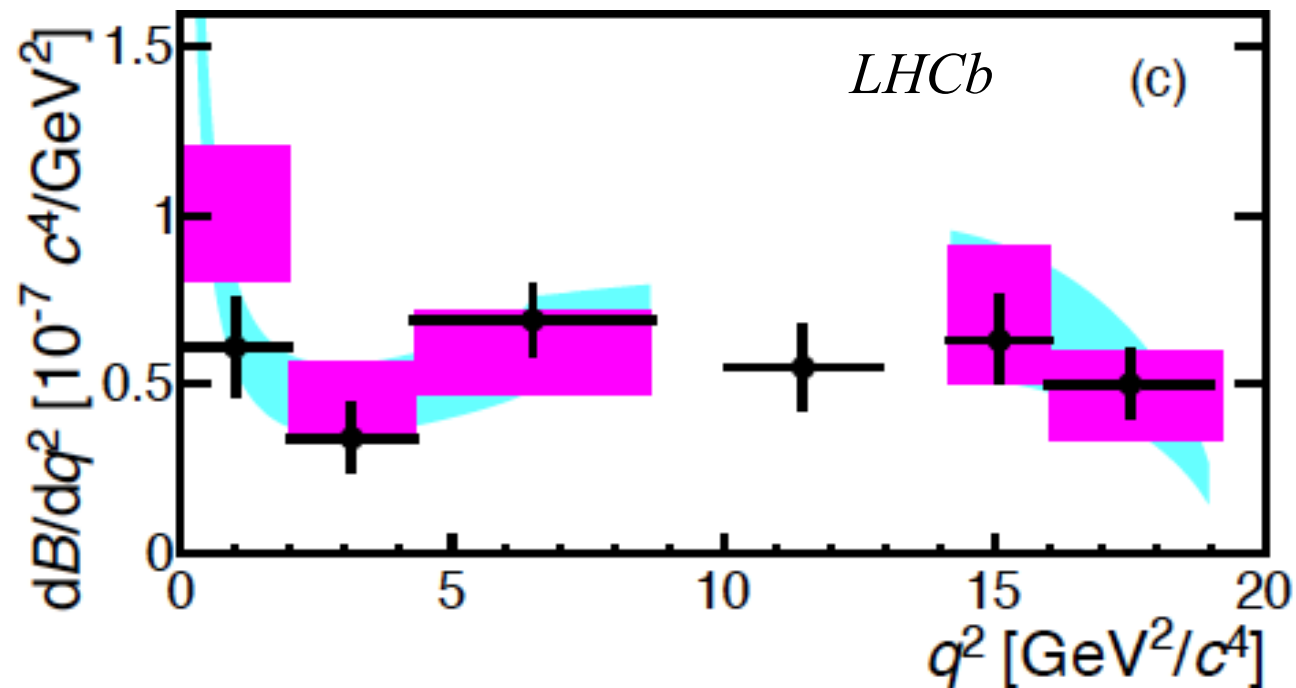
However... • significant deviations in the  $Zll$  spectrum still possible [Max Carrel, '13]

- testing if such constraints are verified is a powerful tool to test if  $h$  is indeed part of an SU(2) doublet



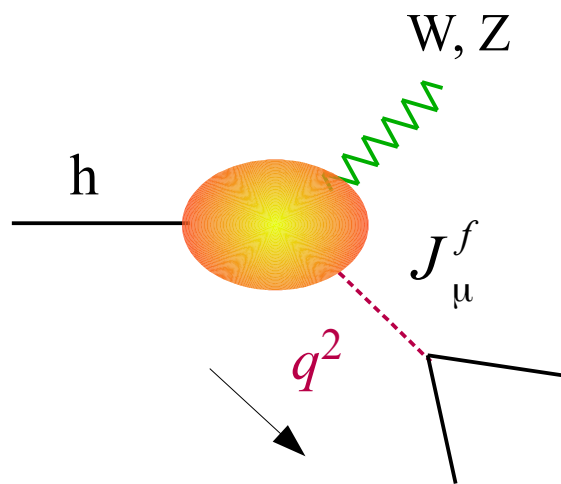
► What's next? Precision Higgs studies

*Ideally...* future experimental results on  $h \rightarrow Z+ll$  could appear in a form not very different than present results in  $B \rightarrow K^* +ll$ :

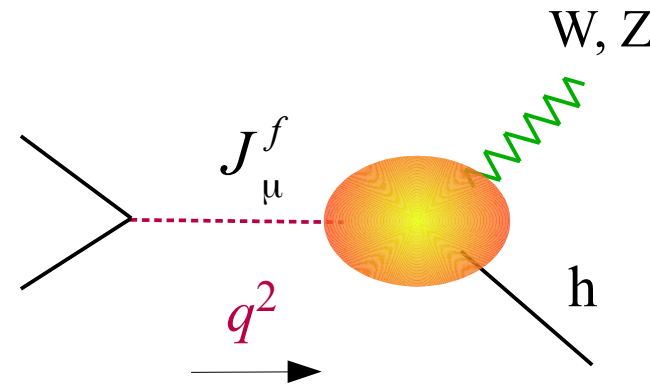


► What's next? Precision Higgs studies

The  $hVff$  form factors are accessible also in  $V+h$  associated production in a different kinematical regime



$$0 < q^2 < (m_h - m_V)^2$$



$$q^2 > (m_h + m_V)^2$$

Of course the  $f.f.$  probed in associated production at LHC maybe different from those appearing in  $h \rightarrow Zll$ , in case of flavor-non-universal contact interactions.

► What's next? Precision Higgs studies

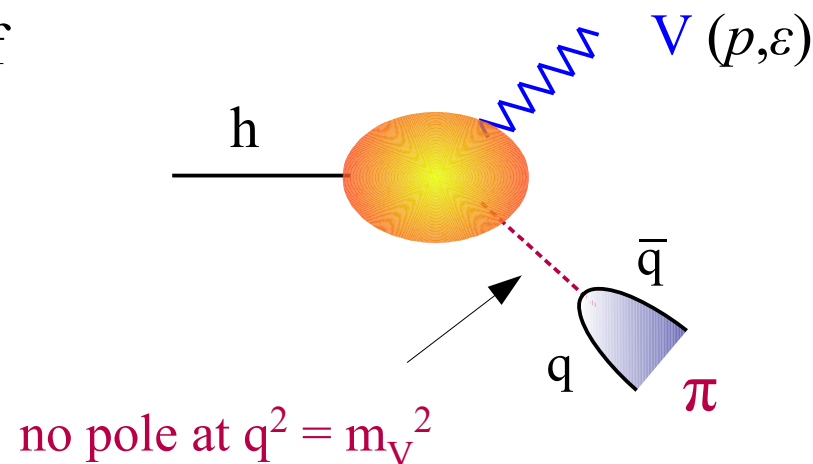
On general grounds, it is very difficult to investigate the following two aspects of the  $h \rightarrow Vff$  amplitude:

- The  $f=q$  case
- The terms relevant for  $q_\mu J_\mu \neq 0$



A possible handle on both these problems is provided by the rare  $h \rightarrow VP$  decays, where  $P$  is a single hadron state and, in particular, a (quasi-)stable pseudo-scalar hadron

The pseudo-scalar case is particularly interesting and simple: in the  $g \rightarrow 0$  limit it projects out the Goldstone-boson component of the amplitude



$$A^{\text{SM}} \propto \frac{f_\pi}{v}$$

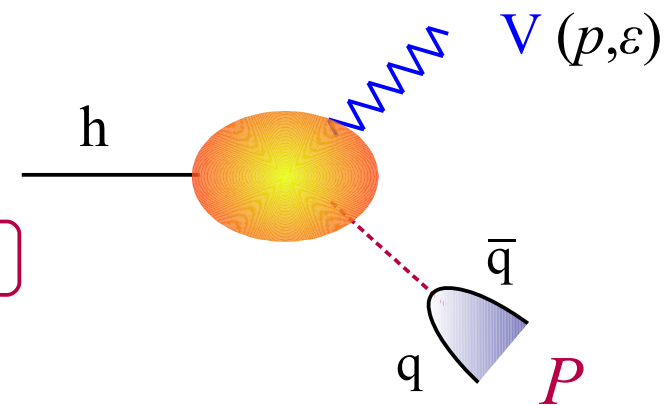
*ratio of the two order parameters  
controlling the  $SU(2)_L$  breaking*

► What's next? Precision Higgs studies

The SM rates are suppressed but not outrageously small (*thanks to*  $m_h \sim 125$  GeV), and some channels may have a (*relatively...*) clean signature

GI, Manohar, Trott, '13

| $VP$ mode    | $\mathcal{B}^{\text{SM}}$ | $VP^*$ mode    | $\mathcal{B}^{\text{SM}}$ |
|--------------|---------------------------|----------------|---------------------------|
| $W^- \pi^+$  | $0.6 \times 10^{-5}$      | $W^- \rho^+$   | $0.8 \times 10^{-5}$      |
| $W^- K^+$    | $0.4 \times 10^{-6}$      | $Z^0 \phi$     | $2.2 \times 10^{-6}$      |
| $Z^0 \pi^0$  | $0.3 \times 10^{-5}$      | $Z^0 \rho^0$   | $1.2 \times 10^{-6}$      |
| $W^- D_s^+$  | $2.1 \times 10^{-5}$      | $W^- D_s^{*+}$ | $3.5 \times 10^{-5}$      |
| $W^- D^+$    | $0.7 \times 10^{-6}$      | $W^- D^{*+}$   | $1.2 \times 10^{-6}$      |
| $Z^0 \eta_c$ | $1.4 \times 10^{-5}$      | $Z^0 J/\psi$   | $2.2 \times 10^{-6}$      |



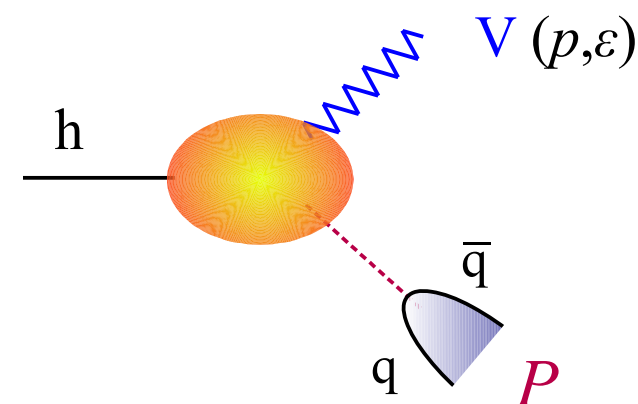
→  $BR[ h \rightarrow W^\pm D_s^\mp(\gamma) ] \approx 10^{-4}$

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Possible to generate  $O(1)$  modifications in various BSM frameworks (even without introducing new contact interactions).



They definitely deserve a dedicated experimental search !



## ► Conclusions

- A SM-like Higgs with  $m_h = 125-126$  GeV does not allow us to derive model-independent conclusions about the scale of New Physics: **the SM Higgs potential is unstable but sufficiently long-lived.**
- Clear indication of a small  $\lambda$  at high energies: **SUSY remains an excellent candidate as UV completion of the SM**, but  $m_h$  alone leaves open a wide range of values for the SUSY breaking scale.
- The **peculiar “doubly-critical” structure** of the Higgs potential may be the indication some (*non-completely understood yet*) statistical phenomenon, (  $\rightarrow$  **“Multiverse”** ? )
- *Leaving aside theoretical prejudices...* there is still a lot to learn about Higgs physics: **differential distributions** and **rare decays** (not only those discussed in this talk) are almost unexplored windows that is worth to investigate in more detail.