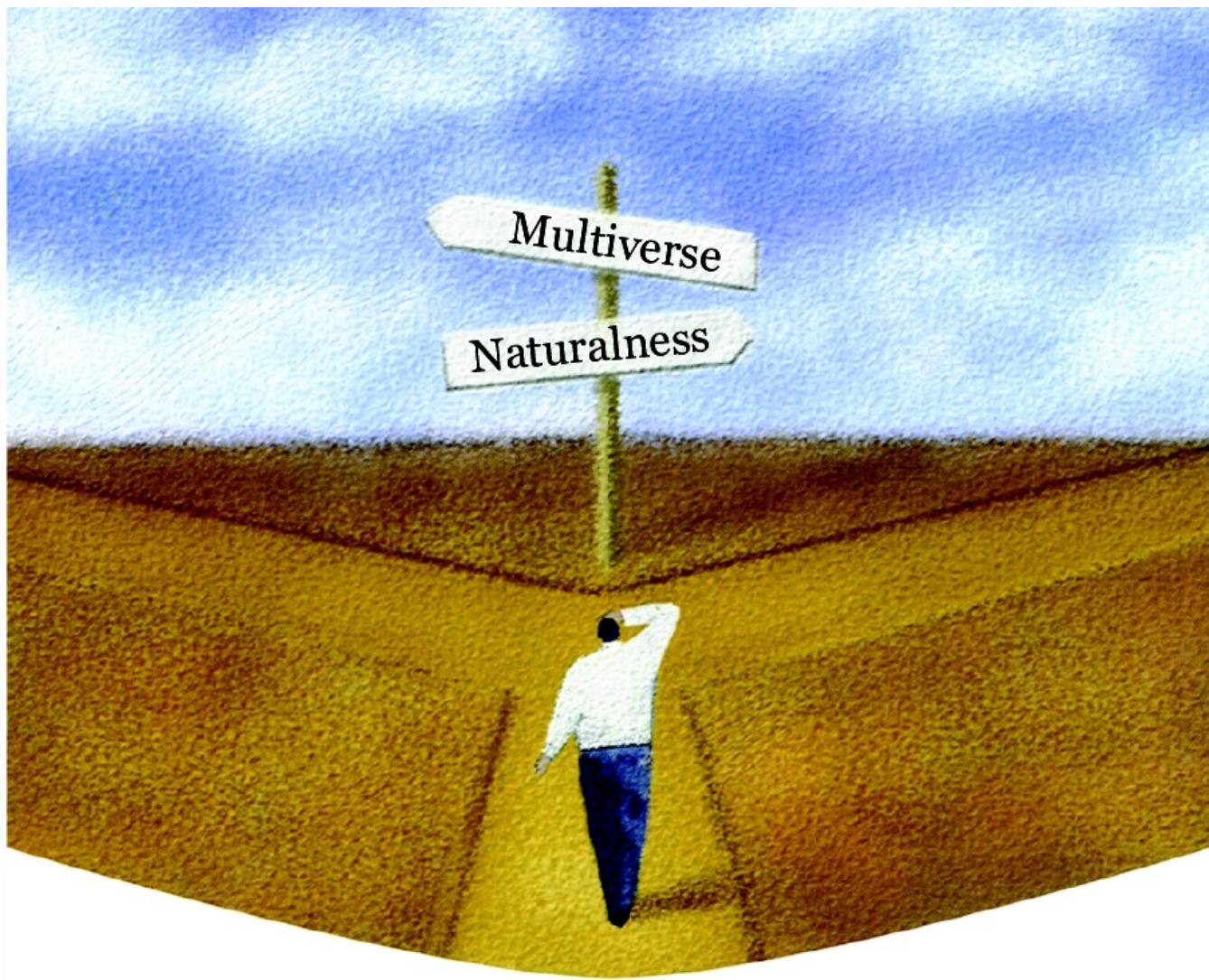


# Supersimmetria dopo il Run a 8 TeV di LHC

*Giovanni Villadoro*

ICTP

from collaborations with:  
Arvanitaki, Craig, Dimopoulos  
Baryakhtar, Gherghetta, Huang, Van Tilburg



Fact #1:

The (not that) light Higgs

**Fact #1:**  $m_h \simeq 125$  GeV

$$\delta v^2 \stackrel{\text{tuning}}{\propto} m_s^2 \quad \text{vs} \quad \delta m_h^2 \stackrel{\text{Higgs mass}}{\propto} v^2 \log m_s^2$$

in MSSM:

$$m_h = 125 \text{ GeV} \Leftrightarrow \text{tuned } \sim 1\% \quad (\sim \% \text{ w/o } a\text{-terms})$$

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## indirect bound on SUSY

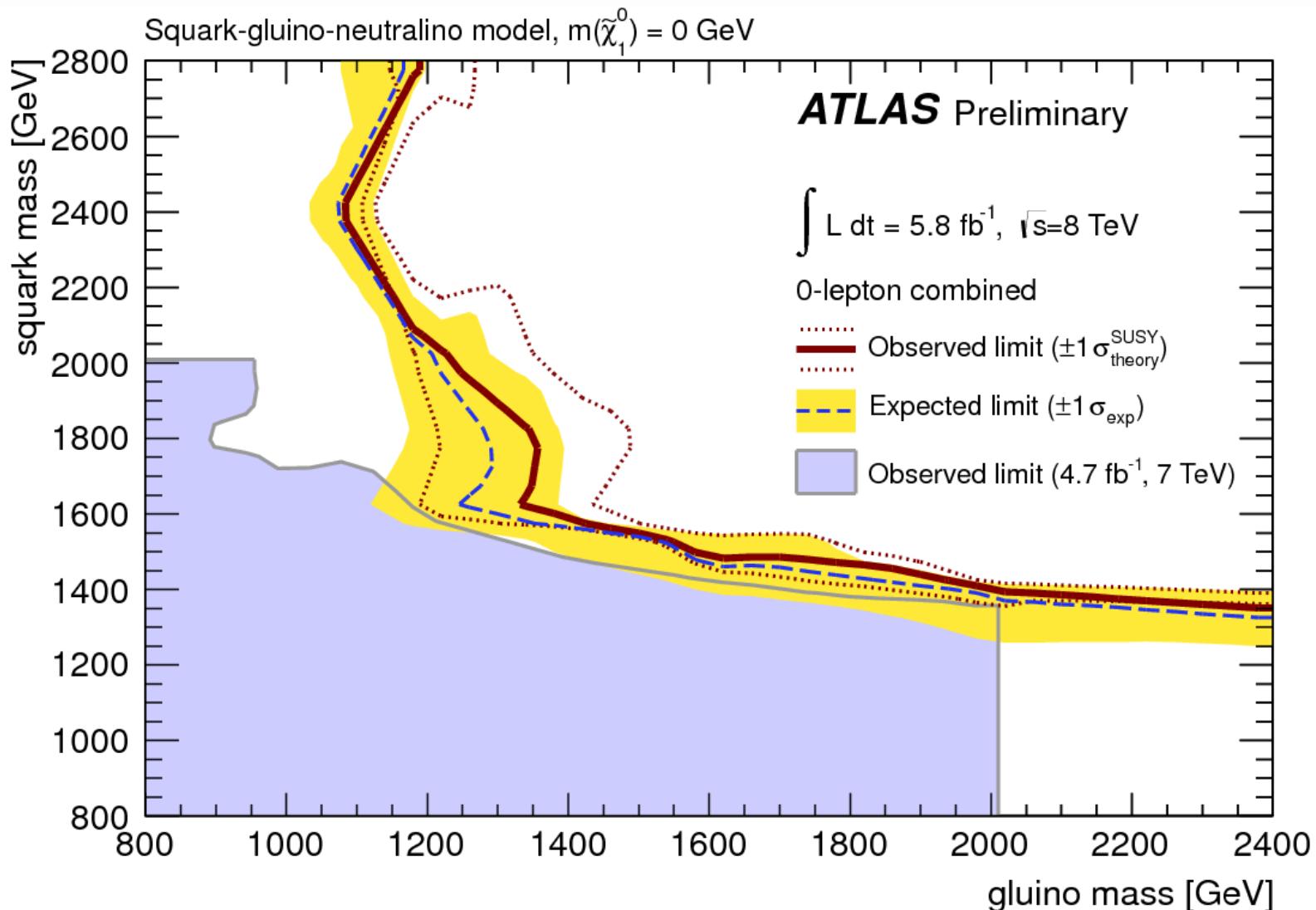
$$\lambda_H = \frac{1}{4}(g^2 + g'^2) + \lambda_{extra}$$

- {
  - | F-terms: NMSSM /  $\lambda$ SUSY
  - | D-terms: extra gauge groups
  - | loops: extra vector-like gen.
  - | ...

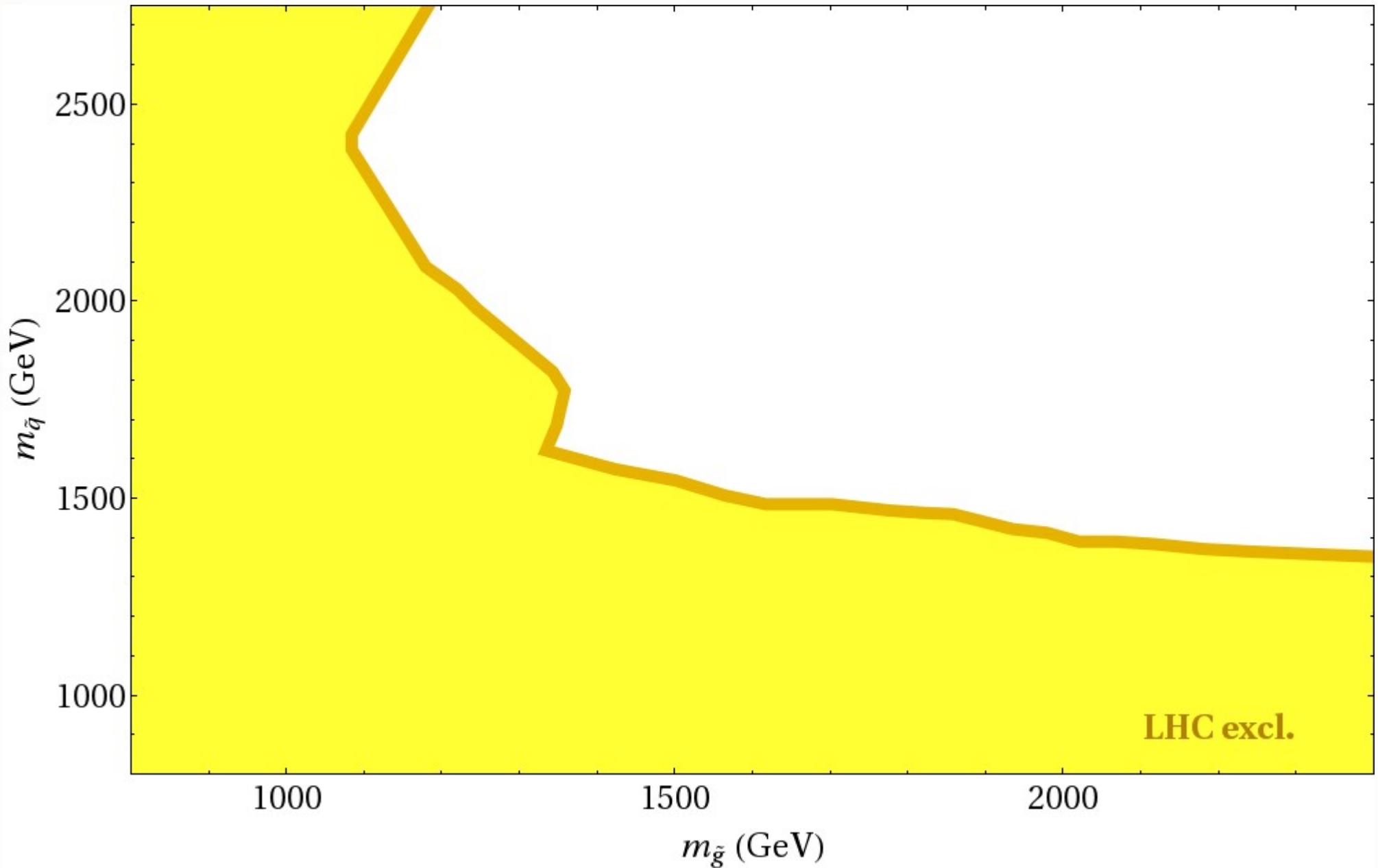
Fact #2:

The Missing Superpartner Problem

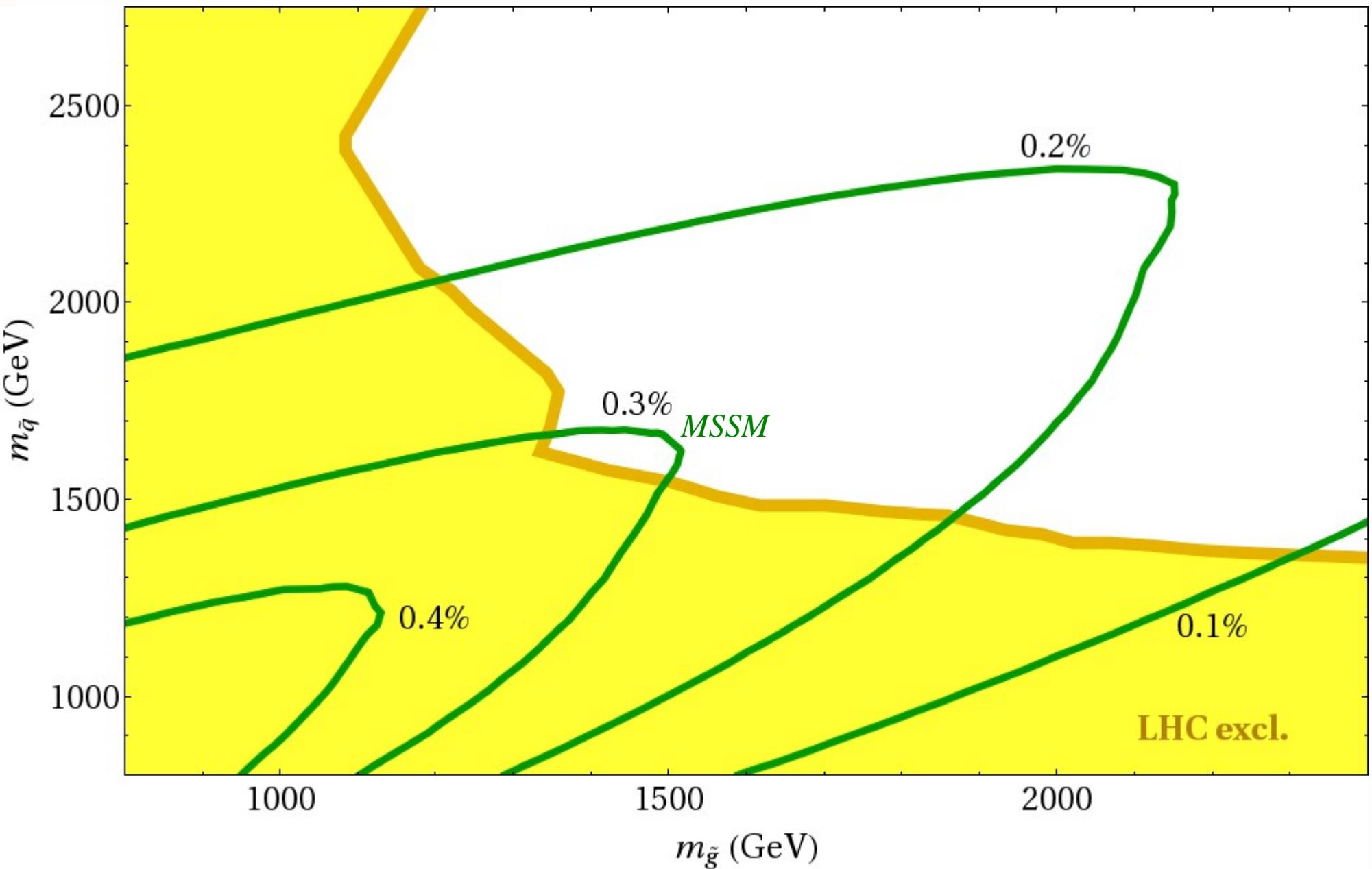
# Fact #2: no 1<sup>st</sup> gen. squarks



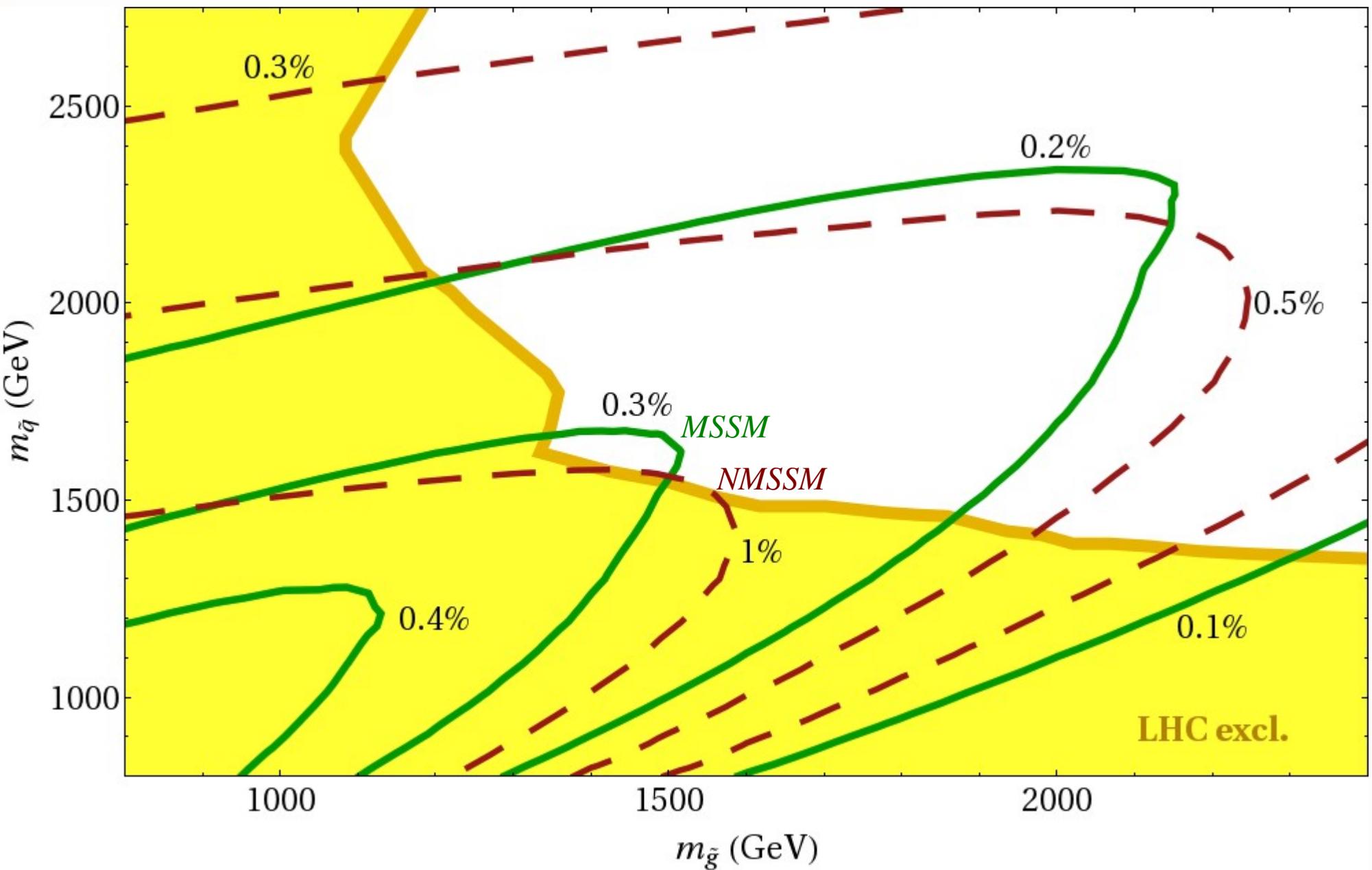
# ...and implications



# ...and implications



# ...and implications



solution #1:

“Natural” SUSY

# “Natural” SUSY

Dimopoulos-Giudice, Pomarol-Tommasini '95

$$m_Z^2 = -2(m_{H_u}^2 + |\mu|^2) + \dots$$

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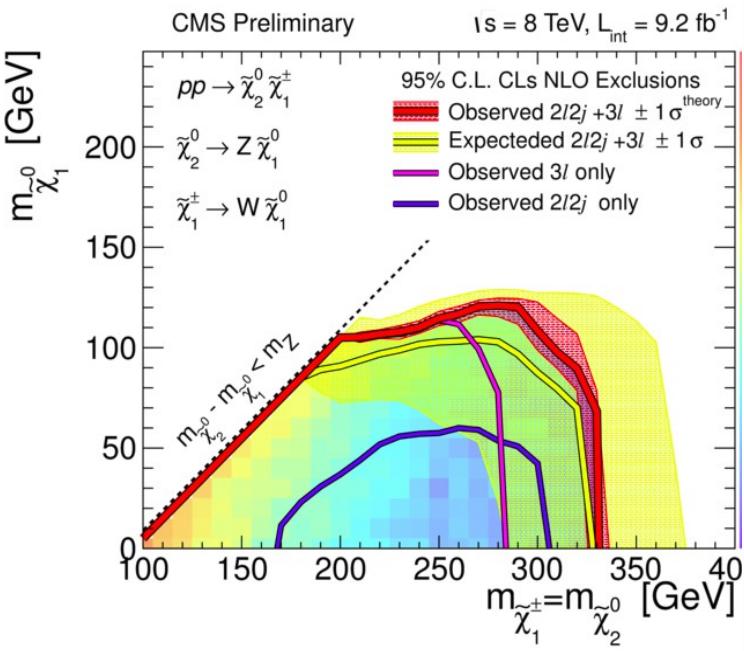
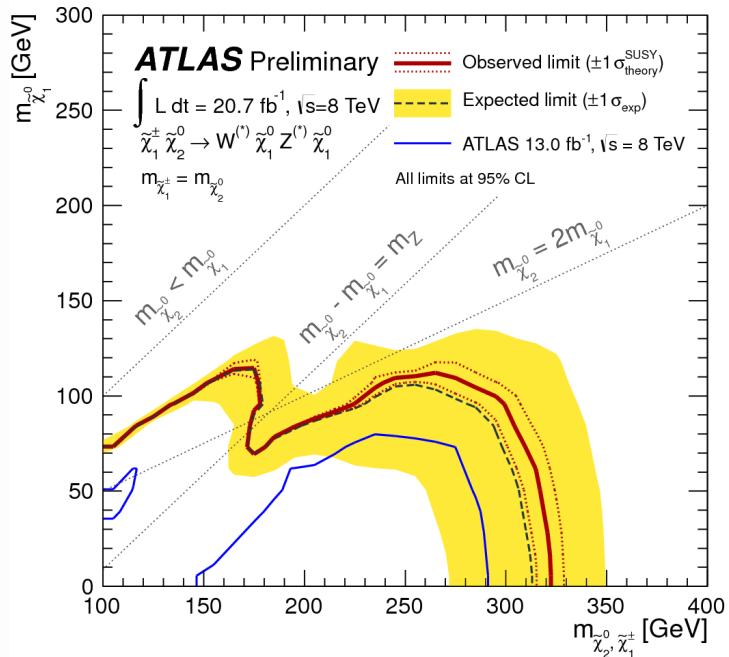
$$\delta m_{\tilde{t}}^2 = \frac{8\alpha_s}{3\pi} M_3^2 \log \frac{\Lambda}{M_3}$$

Only need light **higgsinos, stops, gluinos**  
(and light mess. scale  $\Lambda$ )

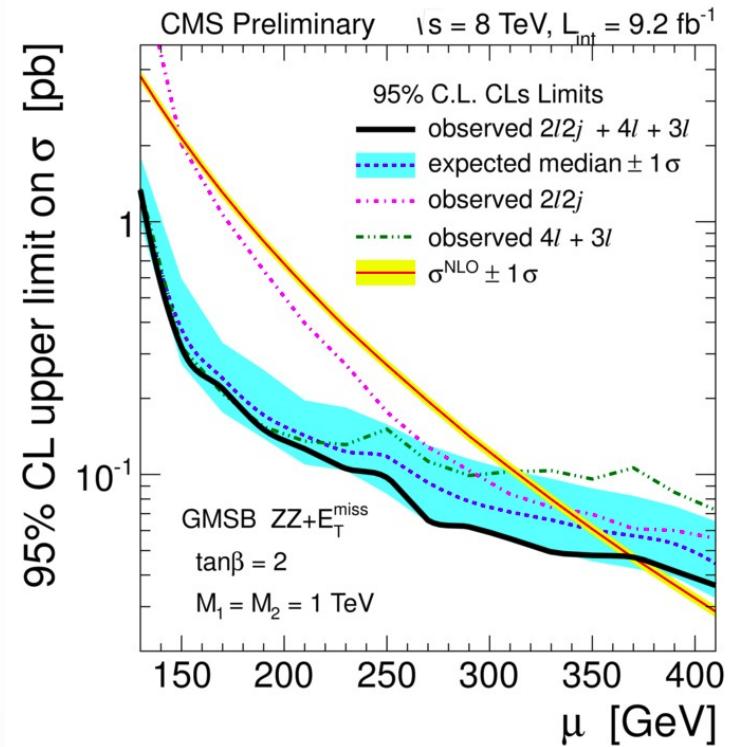
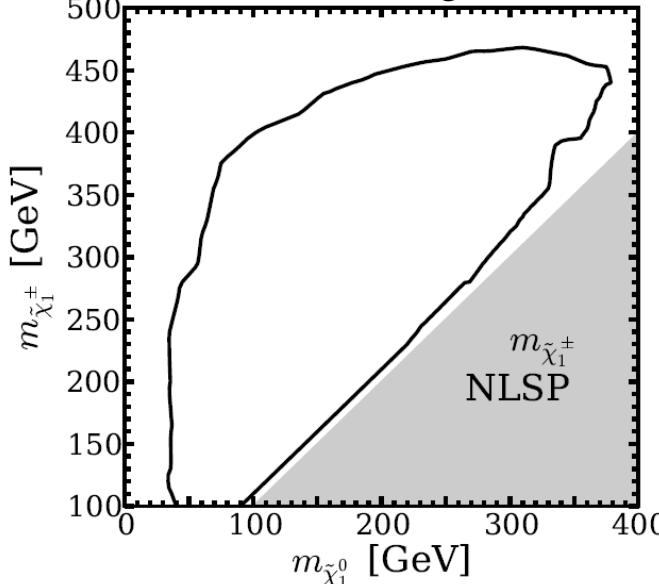
10% tuning  $\Rightarrow \mu \lesssim 250 \text{ GeV}, m_{stop} \lesssim 700 \text{ GeV}, M_{gluino} \lesssim 1.4 \text{ TeV}$

# Status of Natural SUSY

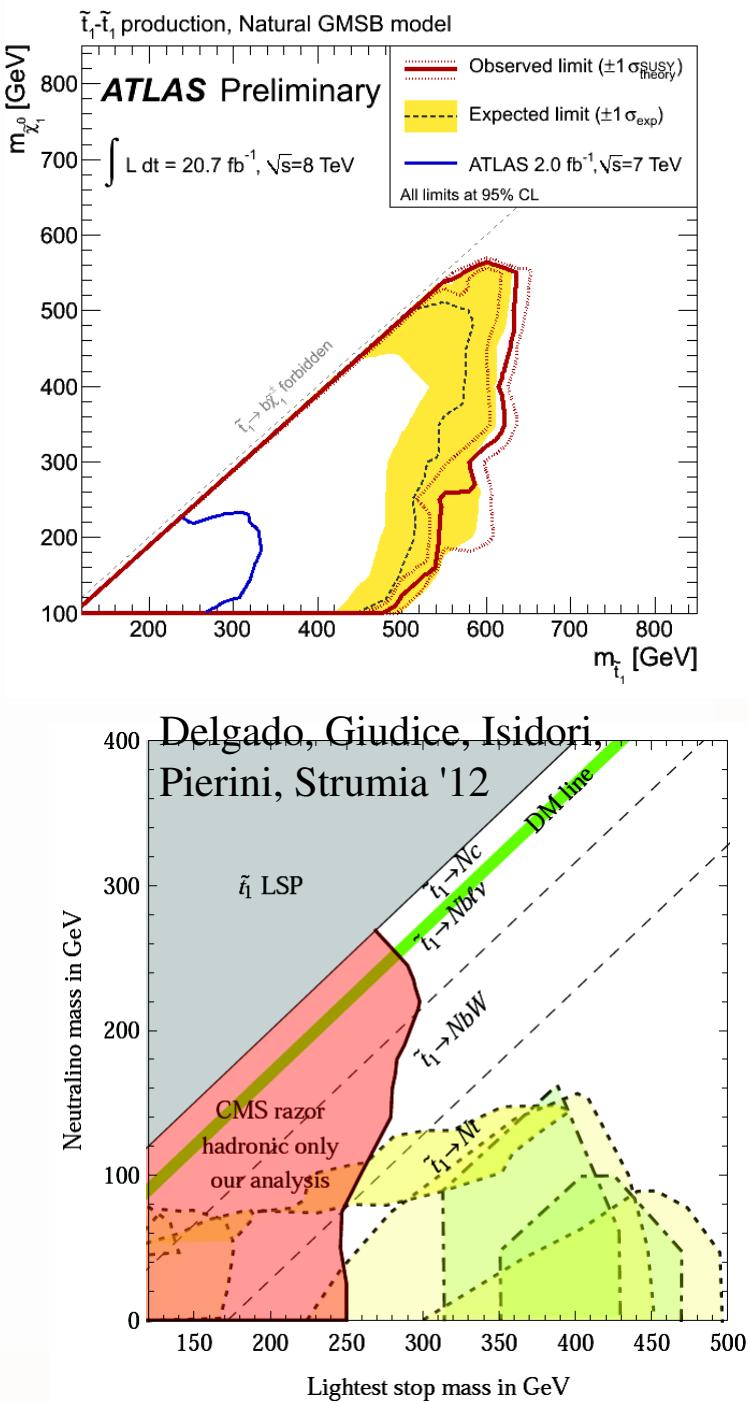
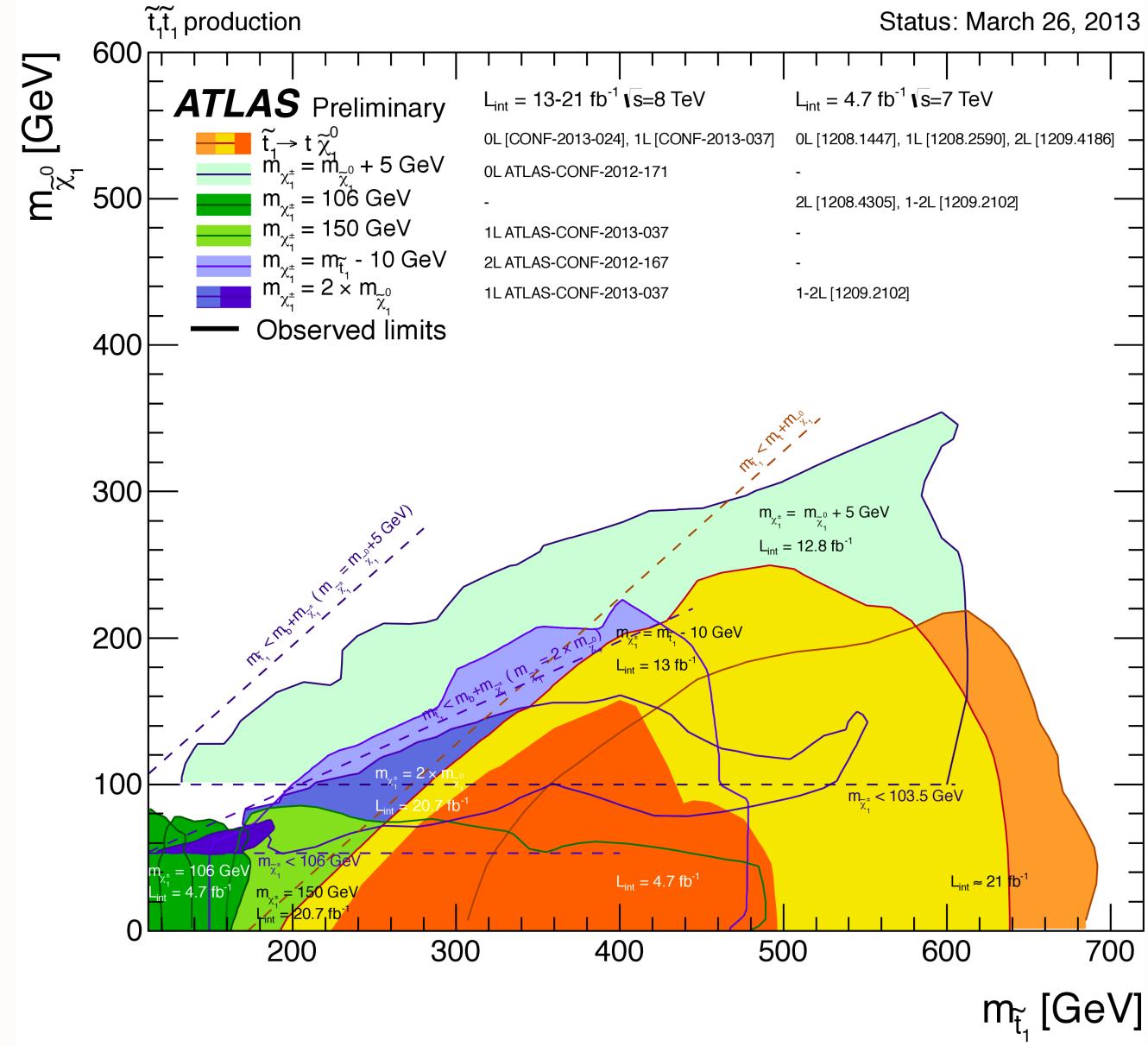
# EWino Bounds



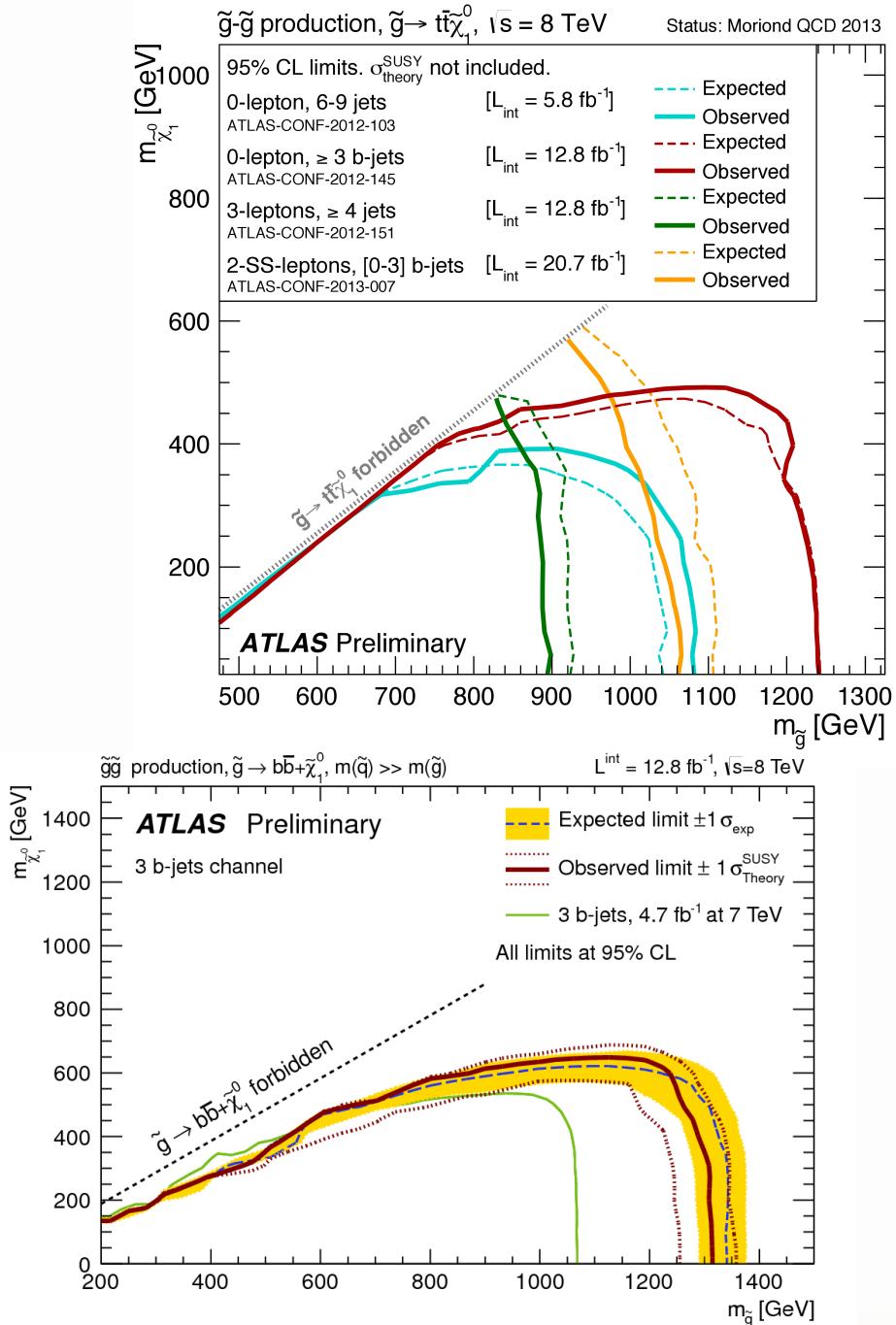
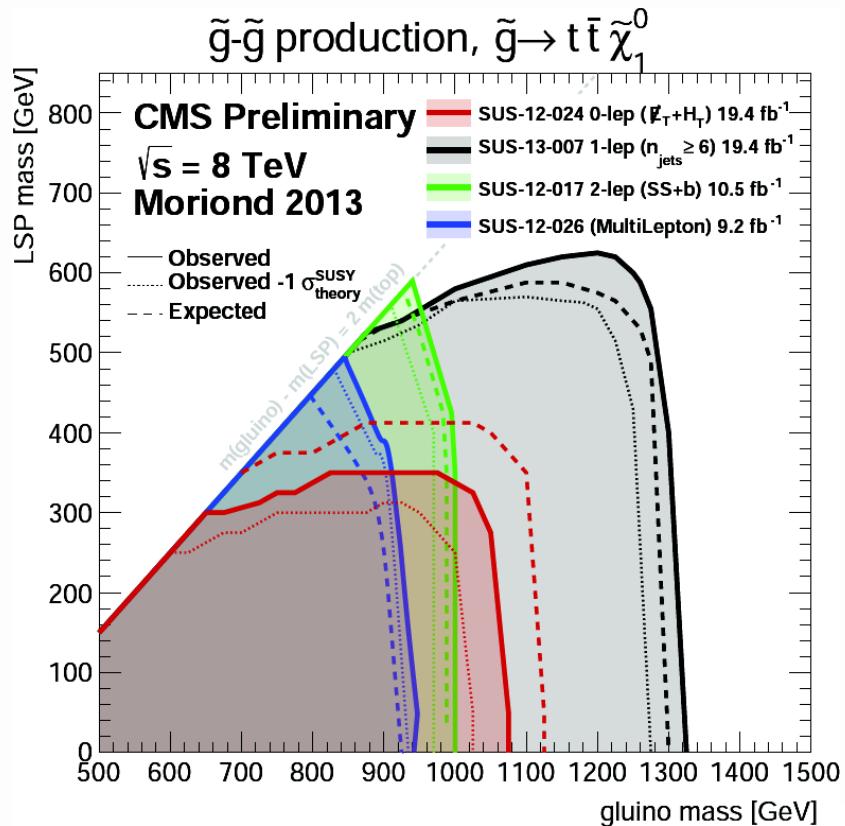
Barnard, Farmer, Gherghetta, White '12



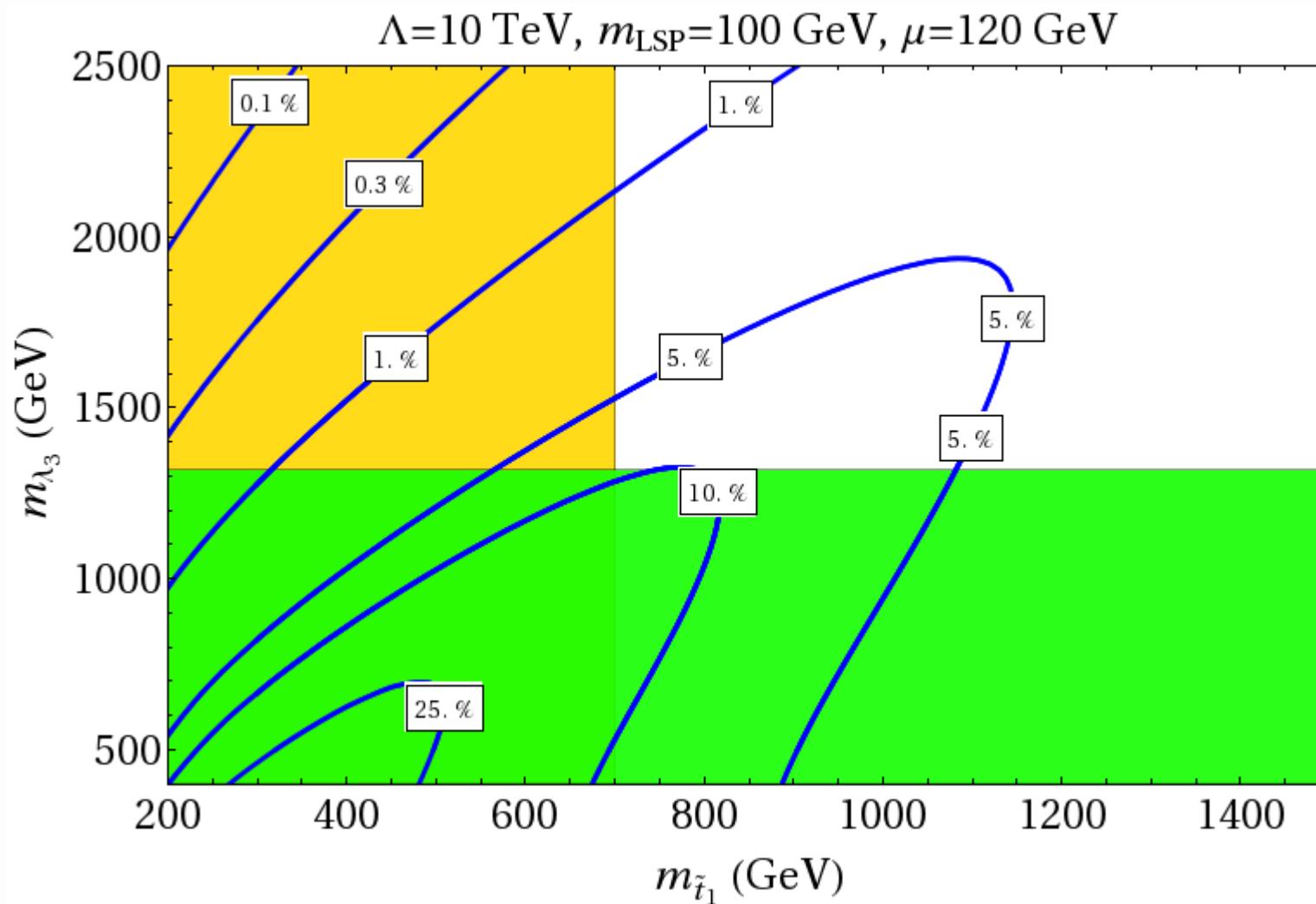
# Stop Bounds



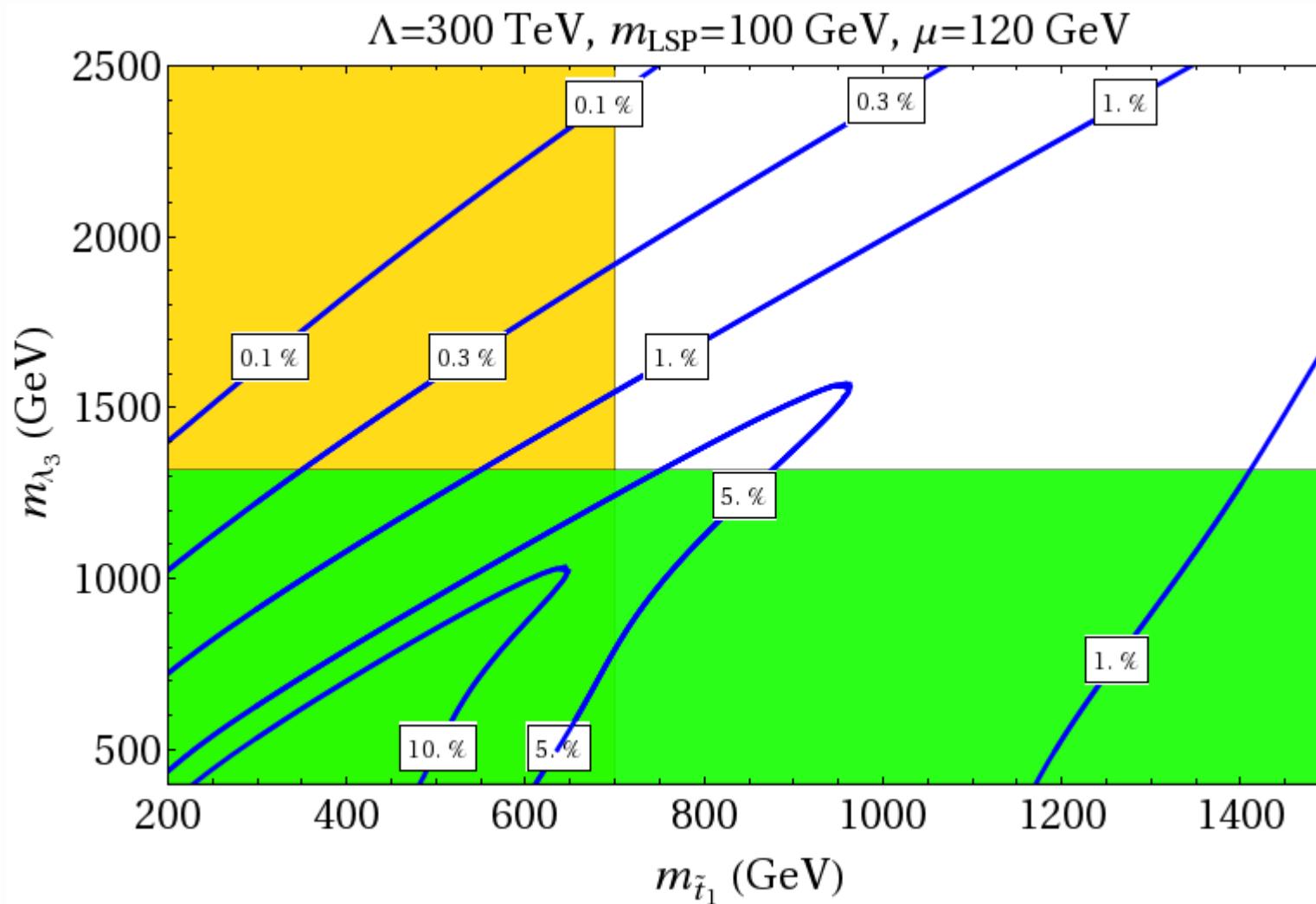
# Gluino Bounds



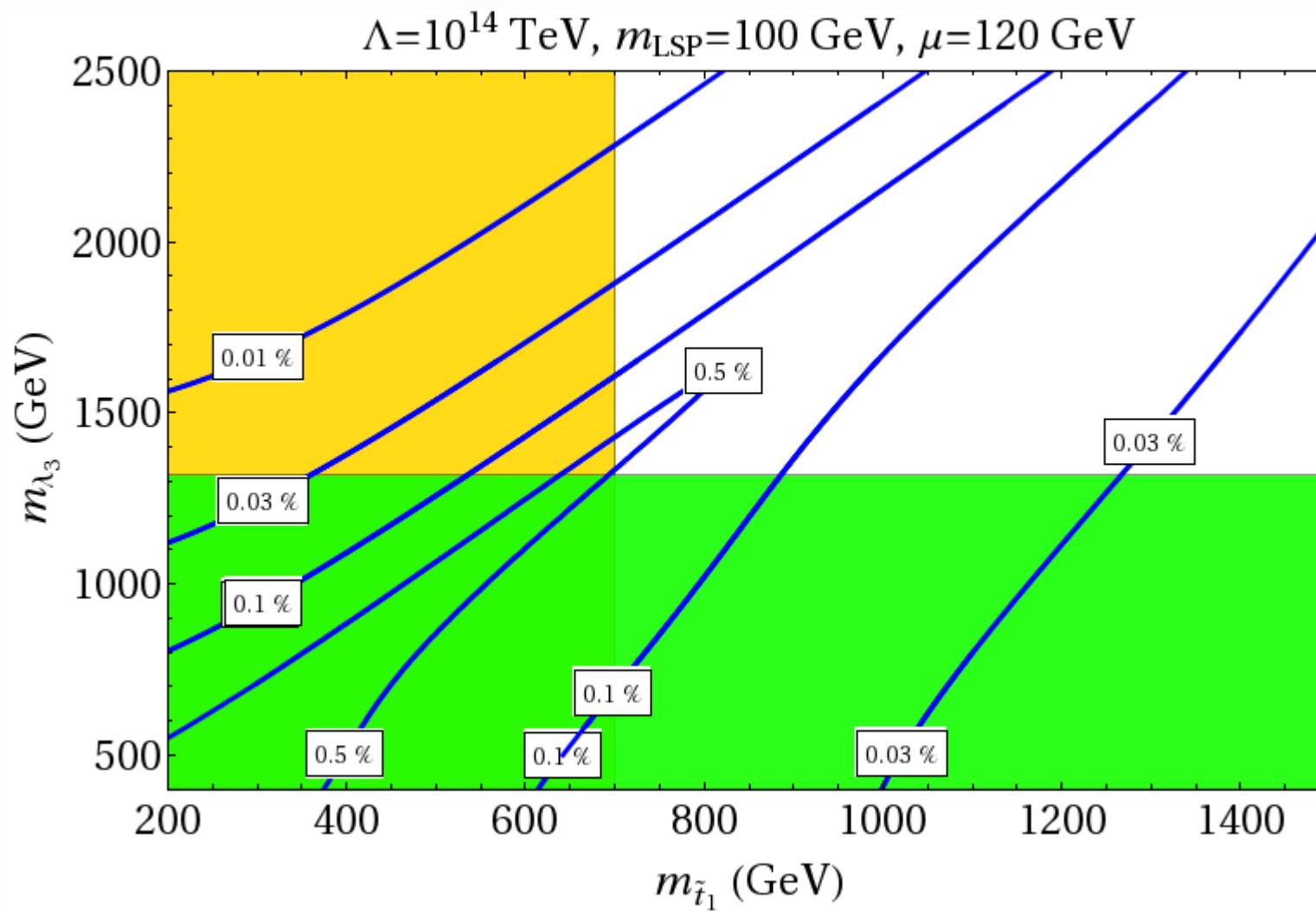
# Is “Natural” SUSY Natural?



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solution #2:

RPV

# RPV SUSY

$$W_{RPV}=\mu_i H_u L_i + \frac{1}{2}\lambda_{ijk}L_iL_jE_k^c+\lambda'_{ijk}L_iQ_jD_k^c+\frac{1}{2}\lambda''_{ijk}U_i^cD_j^cD_k^c.$$

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## Leptonic RPV:

*many leptons in the final state!*

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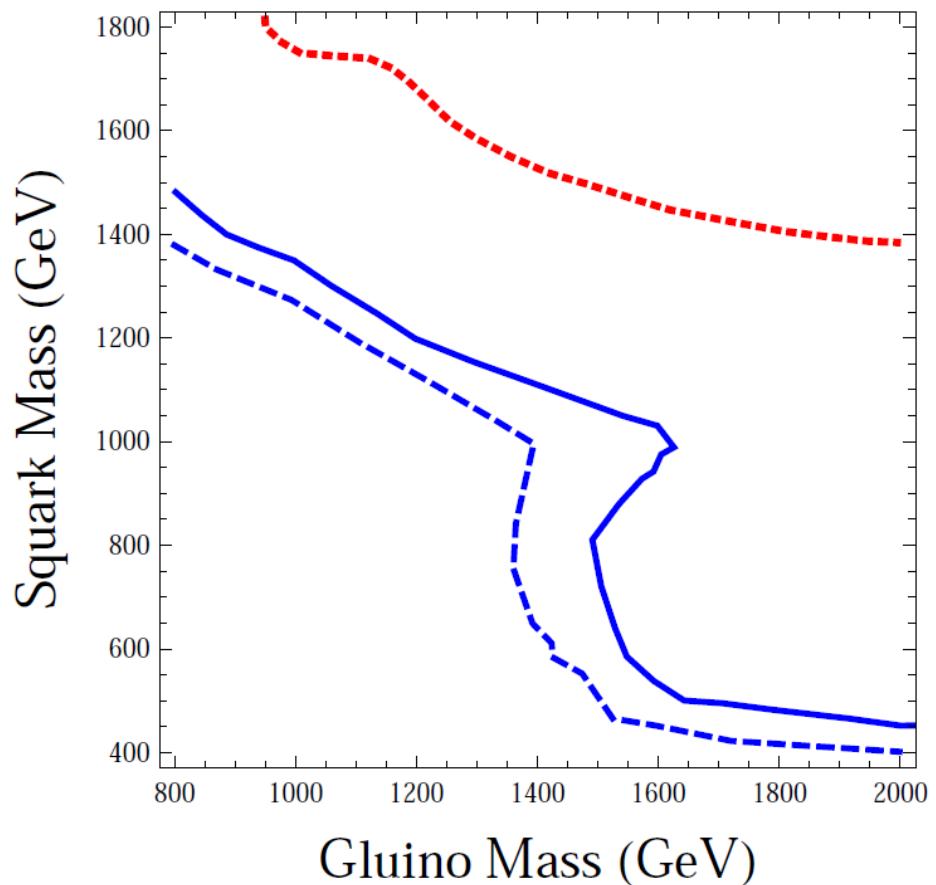
## Leptonic RPV:

*many leptons in the final state!*

*or*

*play dirty: “displaced susy”*

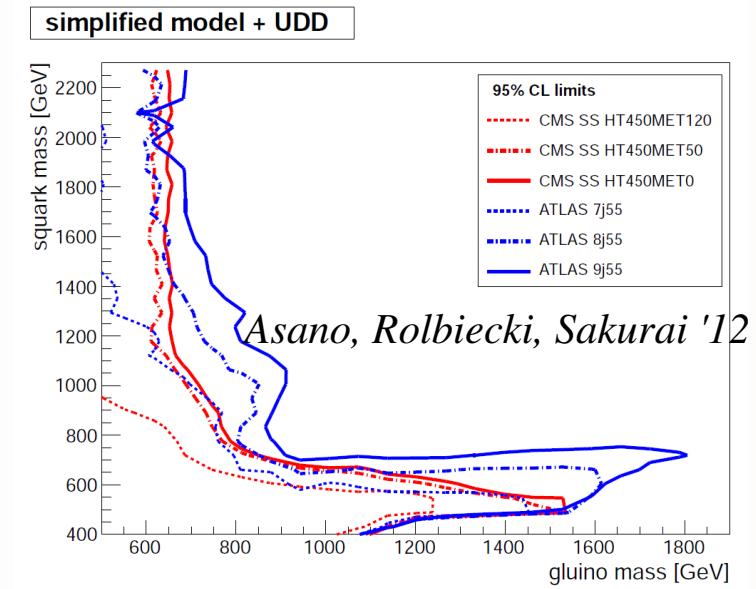
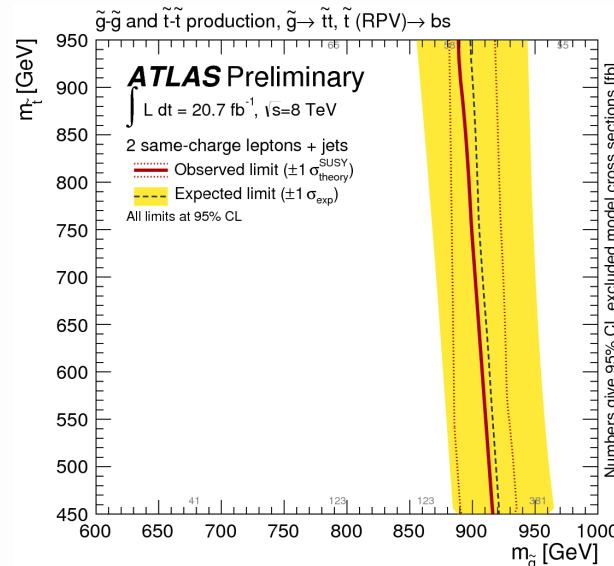
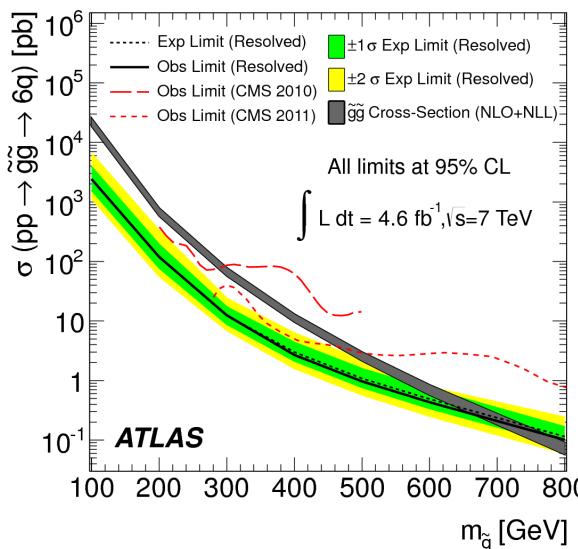
*Graham, Kaplan, Rajendran, Saraswat '12*



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## Baryonic RPV:



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- Baryonic RPV:**
- $p \rightarrow K^+ G \Rightarrow \lambda'' \lesssim 10^{-8 \div -17} \Rightarrow m_{3/2} > 1 \text{ GeV}$
  - $n\text{-}n, N\text{-}N \text{ osc.} \Rightarrow \lambda''_{11k} \lesssim 10^{-6}$
  - $\tau < \text{detector} \Rightarrow \lambda'' \gtrsim 10^{-6} (\chi^0), \lambda'' \gtrsim 10^{-9} (\text{sq})$
  - $F_{susy} \text{ not too low}$
  - $baryon \text{ number wash-out...}$

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## Required ingredients:

- *Higgs fix*
- *low scale mediation (but not too low)*
- *extra susy breaking sector ( $m_p < m_{3/2} < 5 \text{ GeV}$ )*
- *non-universal gaugino masses*
- *avoid vanilla spectra: leptons,  $W, Z \dots$*
- *hierarchical  $\lambda''$*

Less “canonical” tuning?

More “hidden” tunings?

“solution” #3:  
Dirac gauginos

# Dirac gauginos:

*the good:*

- $N=2$  symm.  $\rightarrow$  no large log corrections to scalars
- suppressed  $t$ -channel squark production
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$$\int d^2\theta \sqrt{2} \frac{W'_\alpha W_j^\alpha A_j}{M} \quad \int d^2\theta \frac{W'_\alpha W'^\alpha}{M^2} A_j^2$$
$$m_i^2 = \frac{C_i(r)\alpha_i m_i^2}{\pi} \log\left(\frac{\delta^2}{m_i^2}\right)$$

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*the bad:*

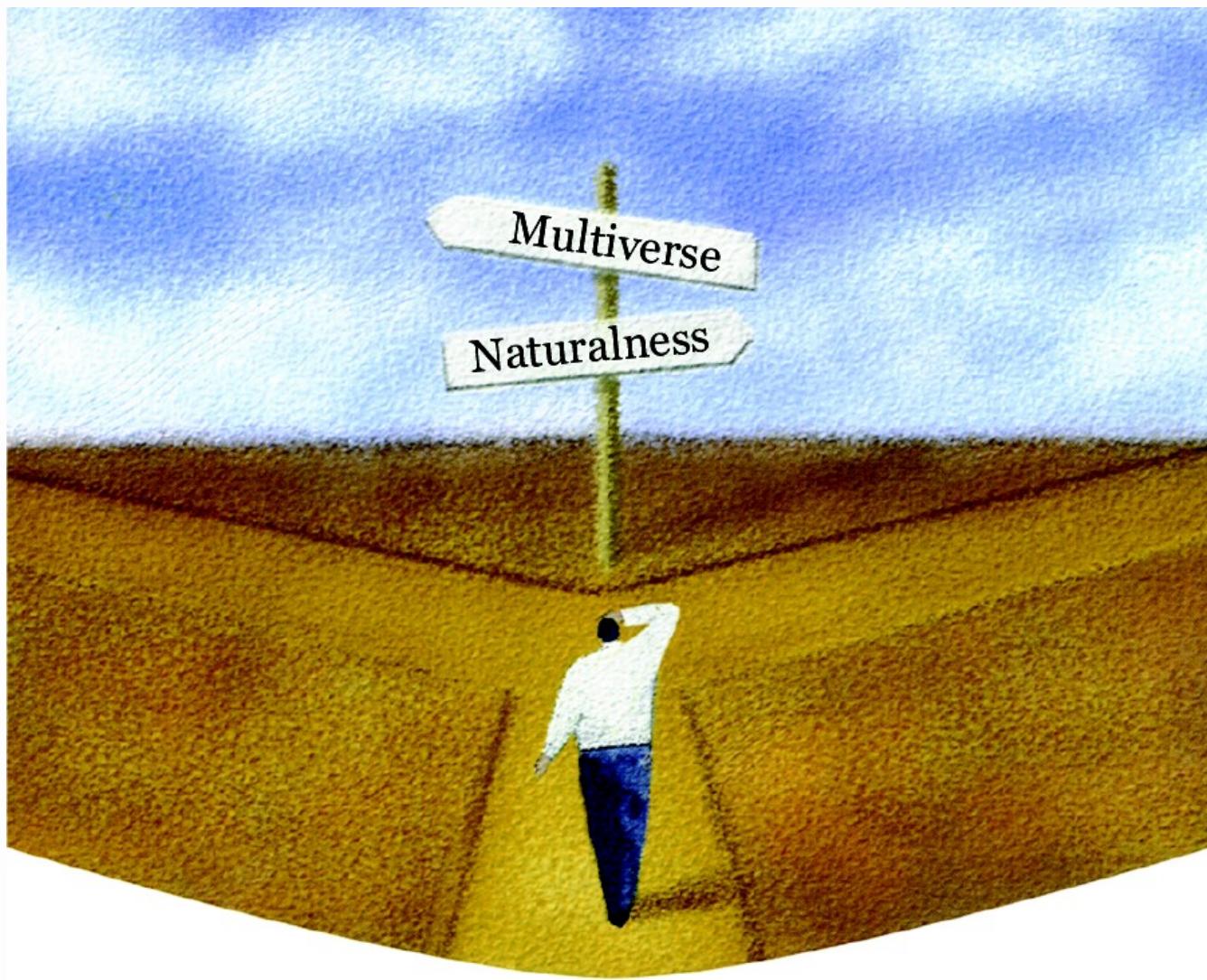
- in general left with a finite  $\sim \log(\text{loop})$  factor
- at best  $\log(\text{few})$  expected (extra model building)
- larger prod. cross section for gauginos
- unification in trouble
- extra model building for Higgs quartic
- tachyons?
- ...

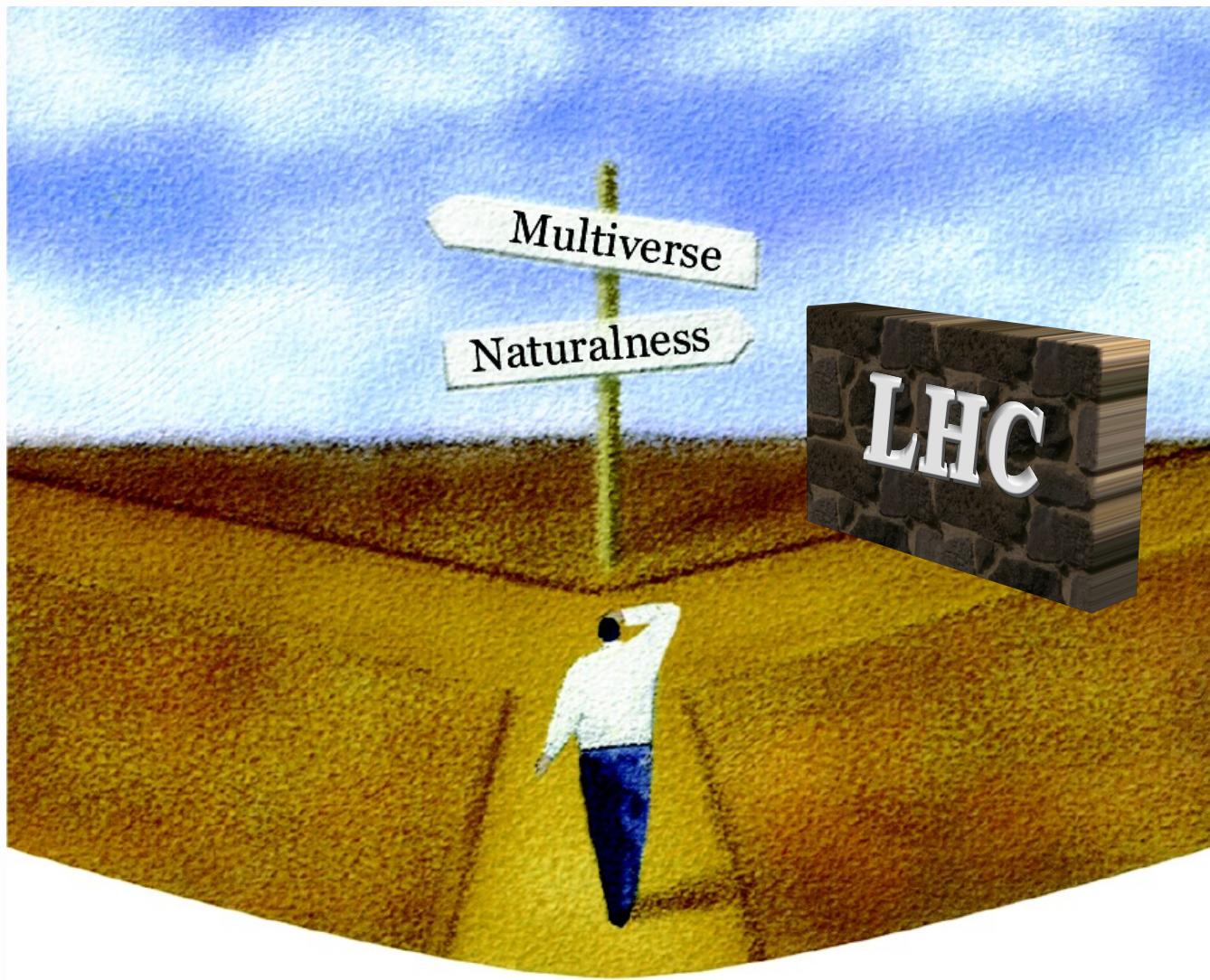
*any improvement?*

what about combining more mechanisms?

*not really an option if the goal is naturalness...*

*...tuning in theory space!*

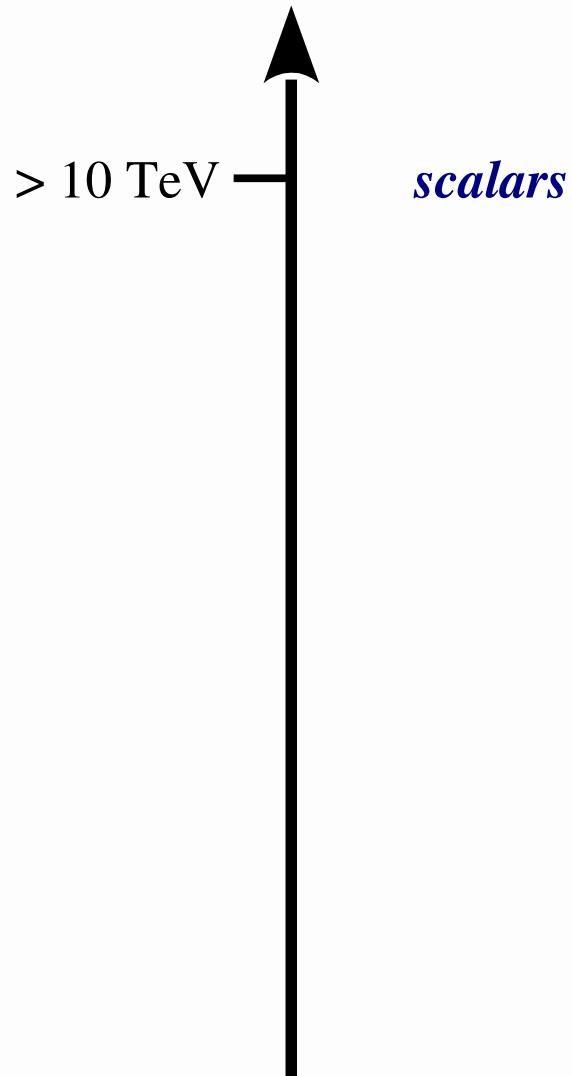




# The Alternative (Mini) Split SUSY

# Split SUSY spectrum

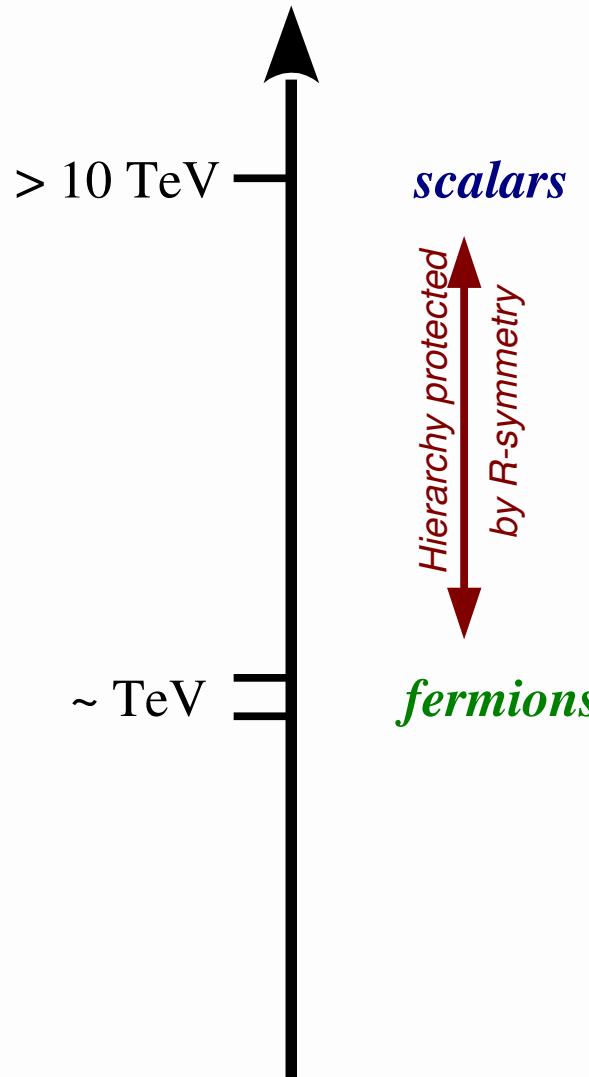
*Arkani-Hamed, Dimopoulos  
Giudice, Romanino '04*



*Avoids problems with flavor,  
EDM and collider bounds*

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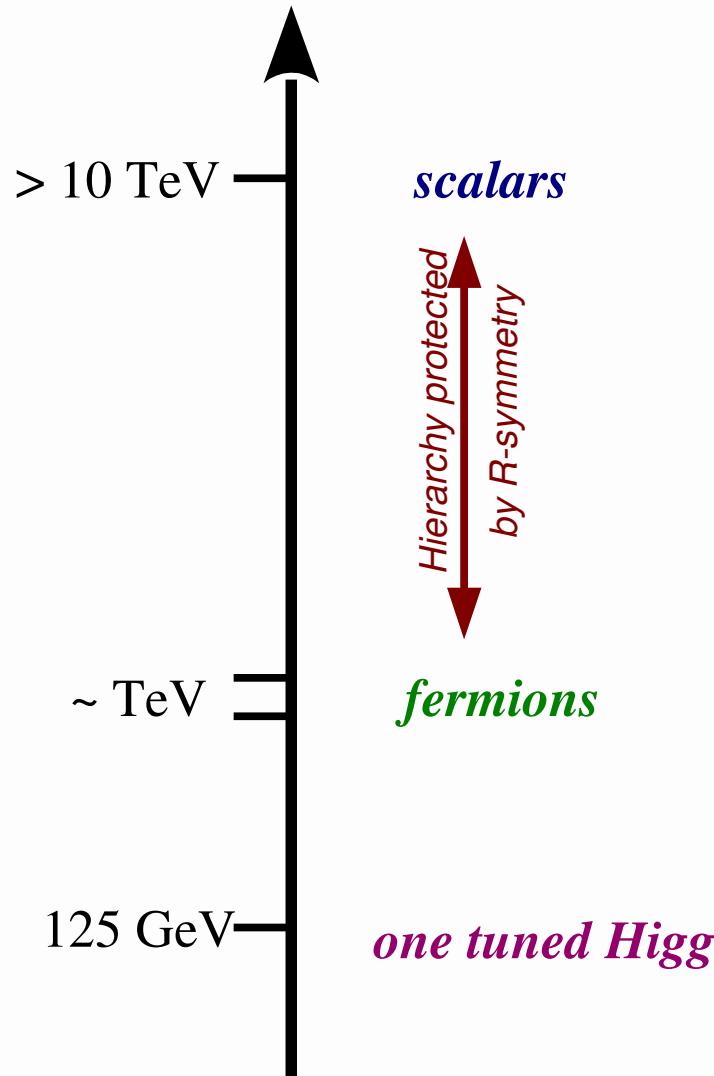


*Avoids problems with flavor,  
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*Preserves successful  
Gauge Coupling Unification  
and Dark Matter*

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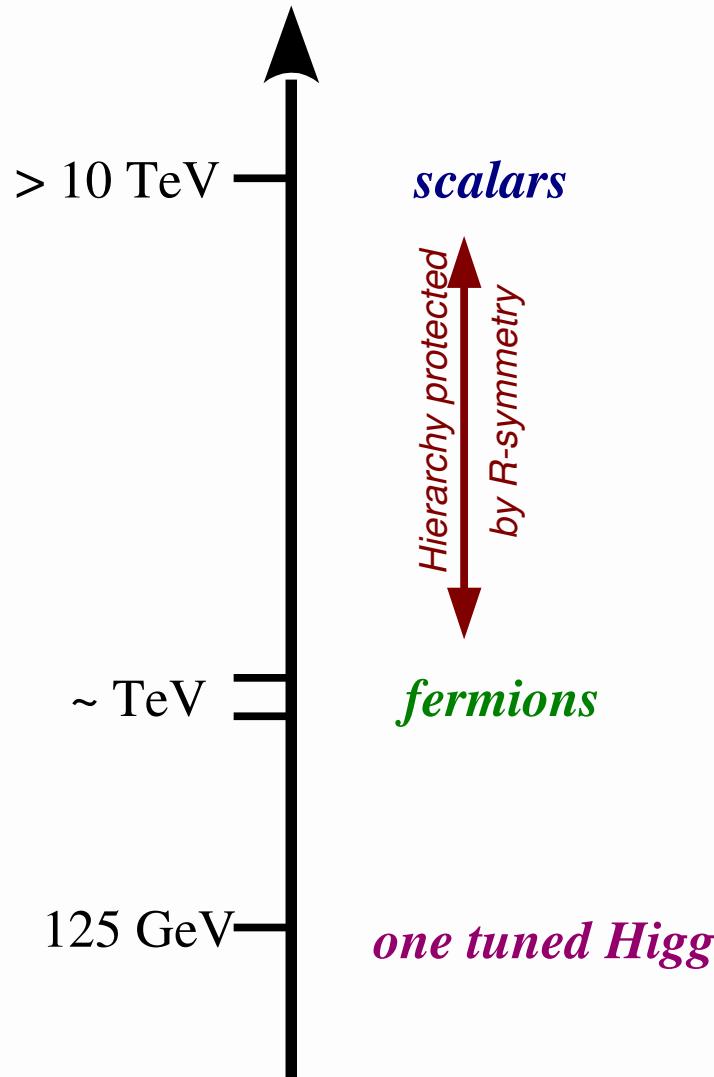


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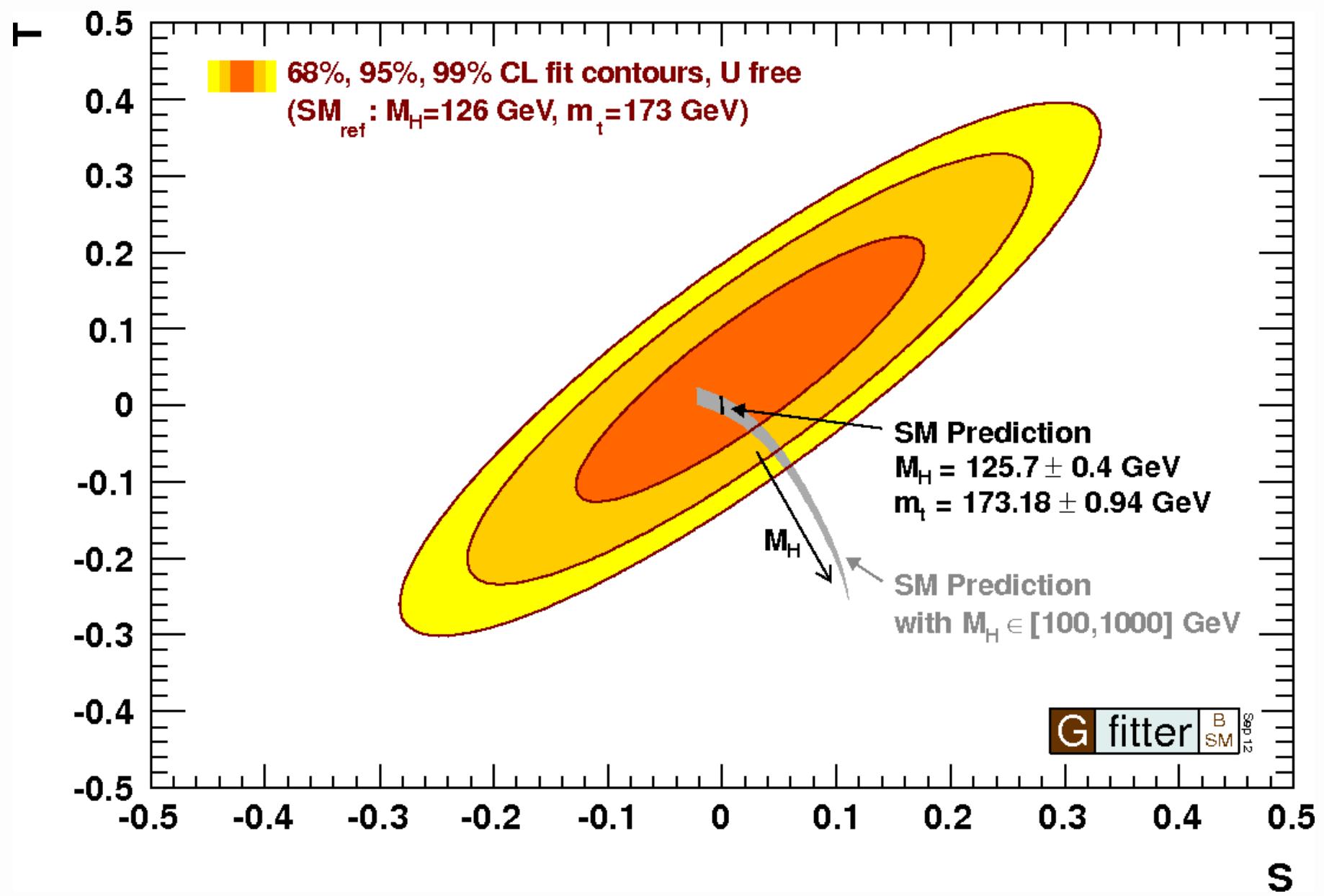


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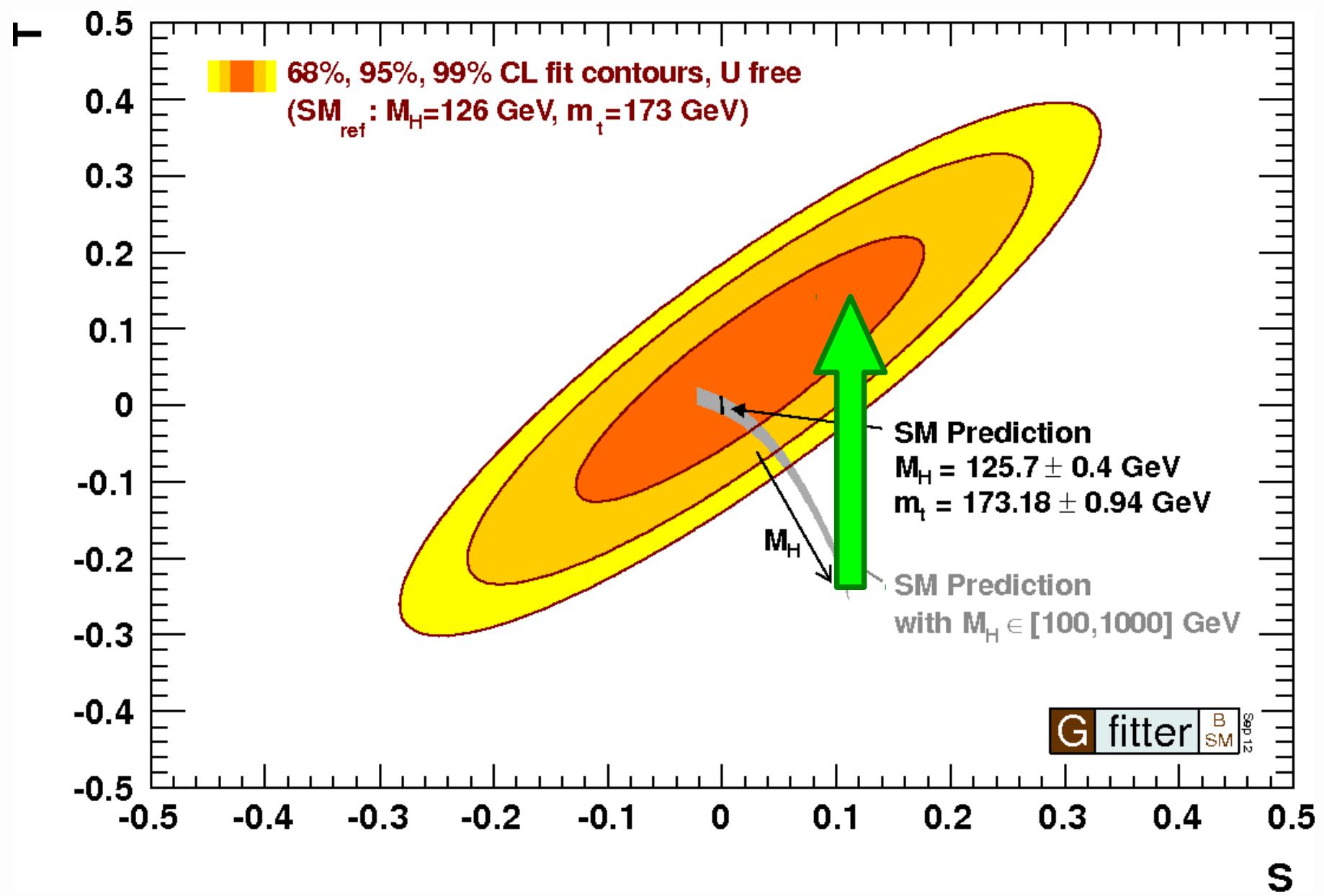
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*Why to insist on SUSY?*

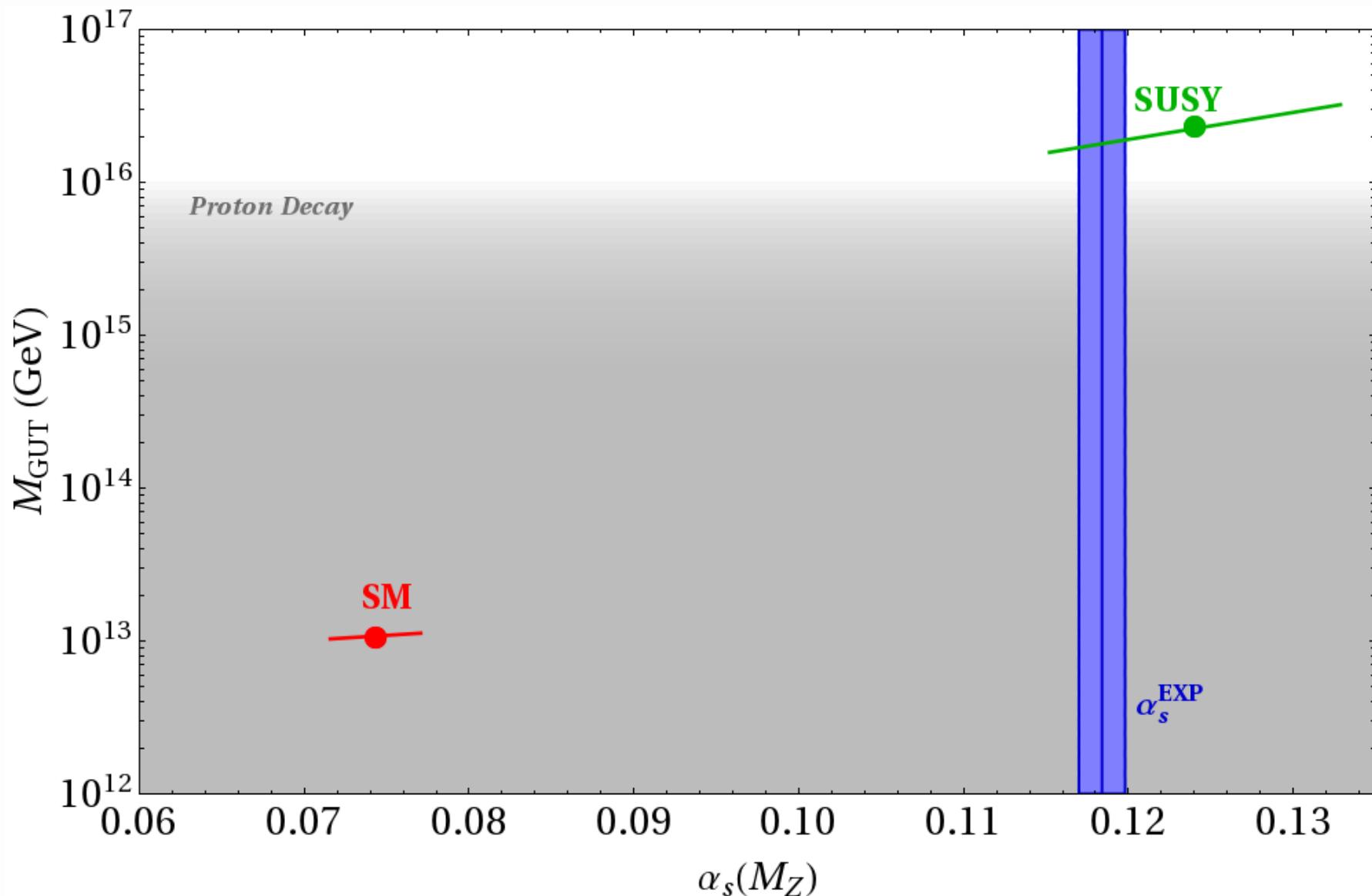
# An analogy



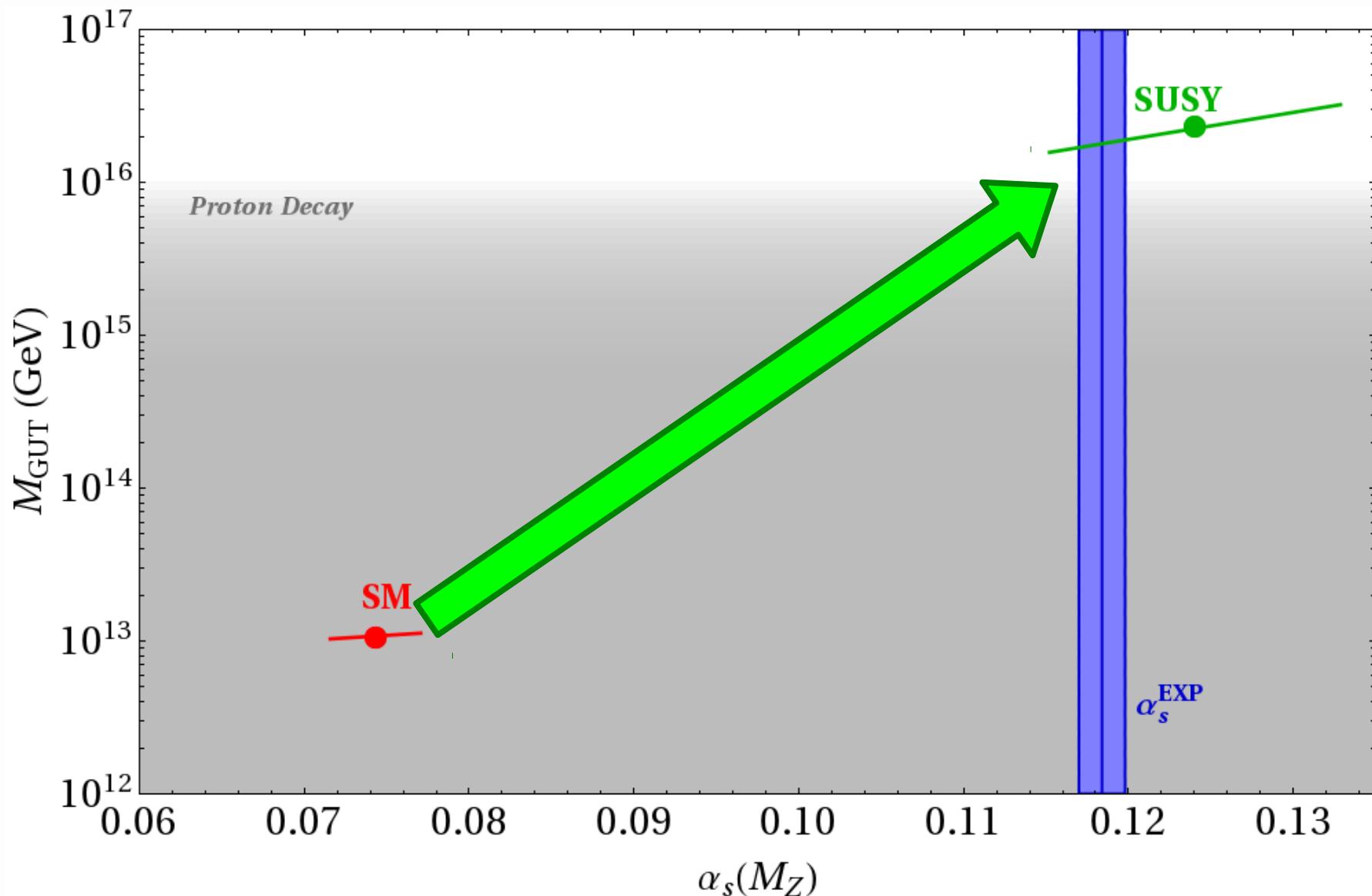
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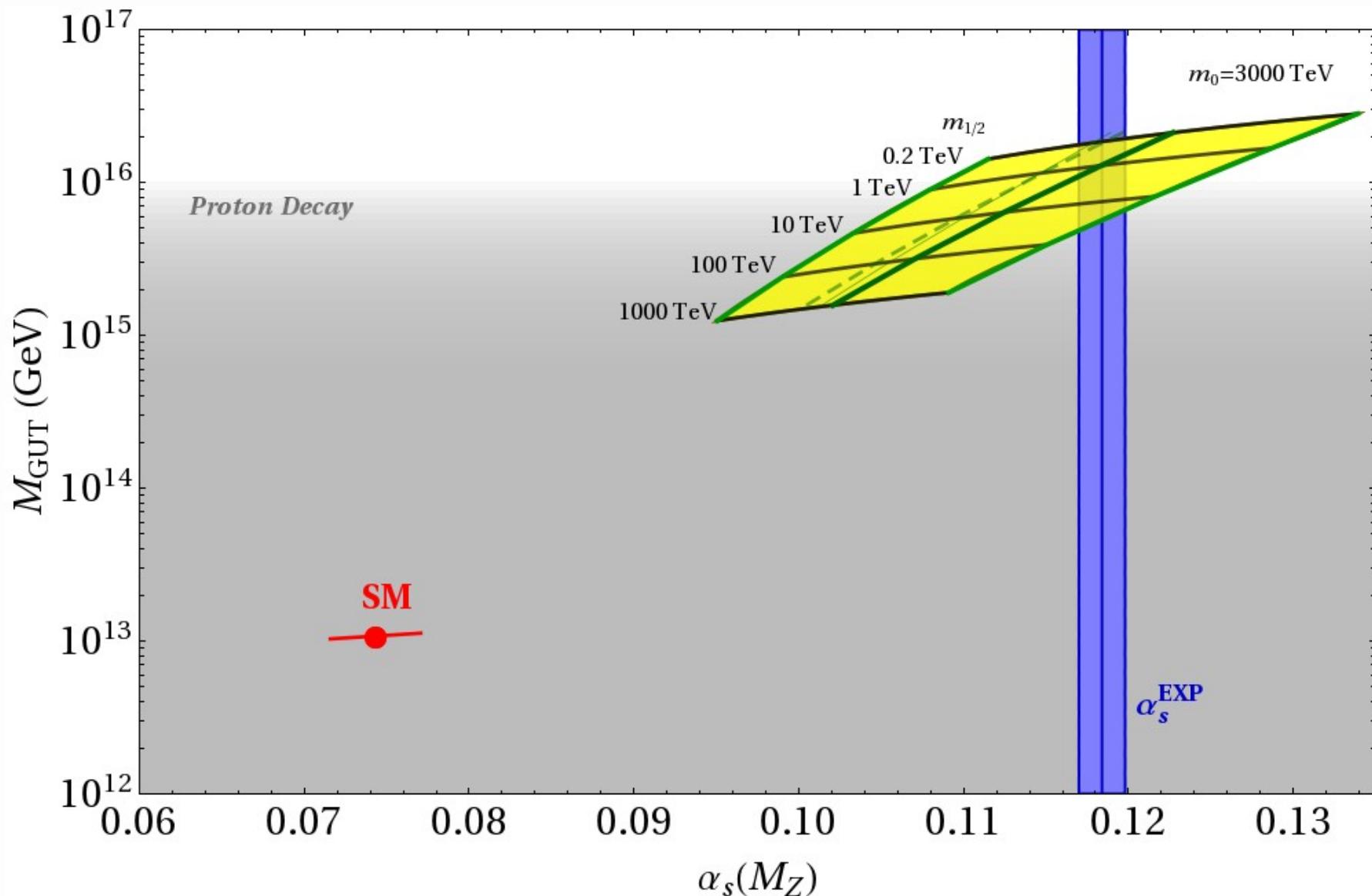
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# An analogy



# “Mini”-Split SUSY

$$m_H \sim 125.5 \text{ GeV fixes } \lambda(m_H)$$

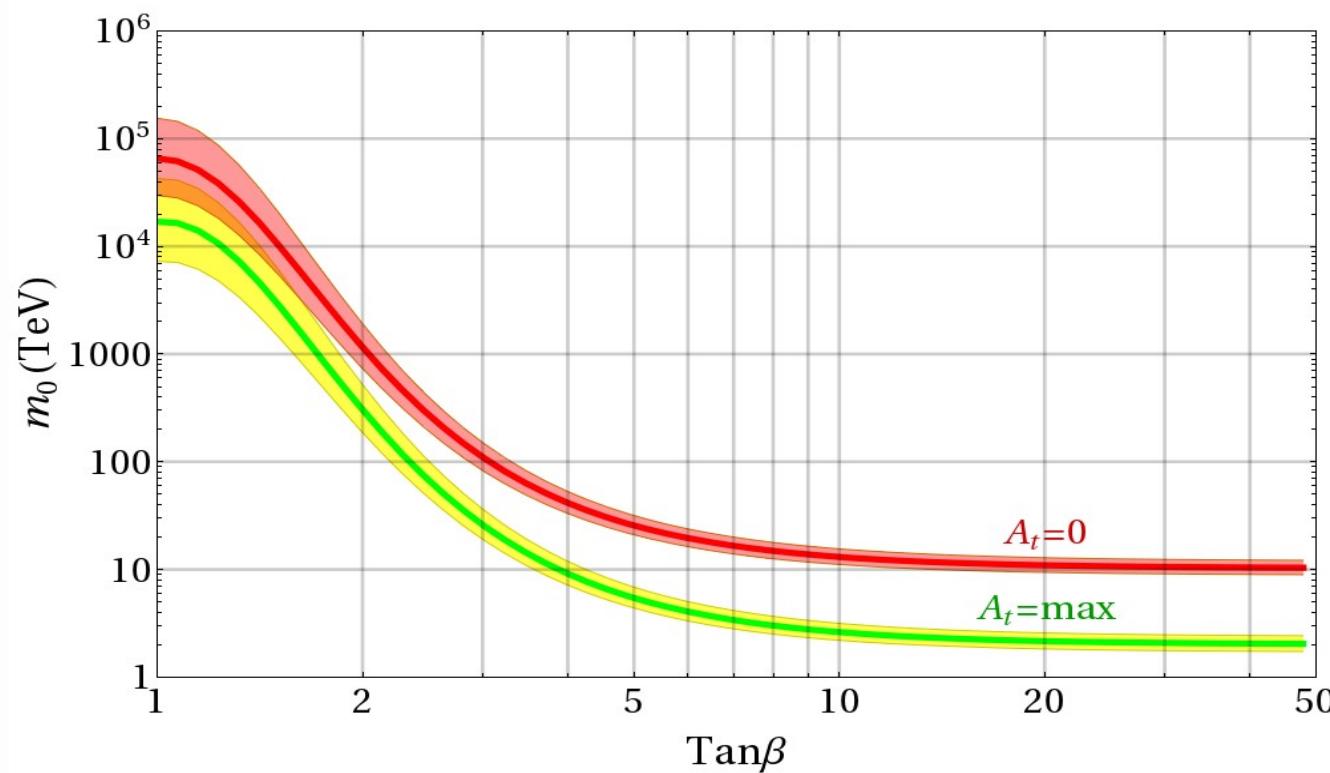
SUSY fixes  $\lambda(\tilde{m}) = \frac{[g^2(\tilde{m}) + g'^2(\tilde{m})]}{4} \cos^2 2\beta$

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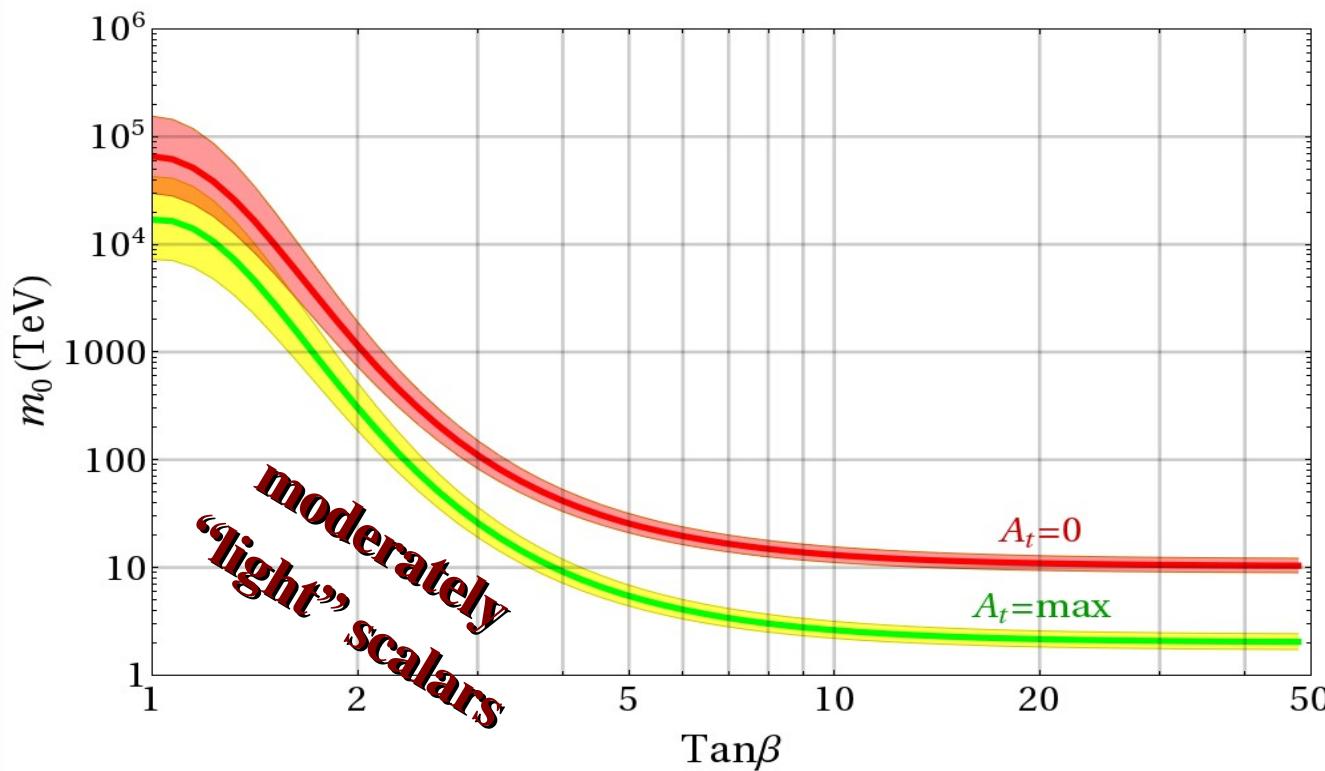


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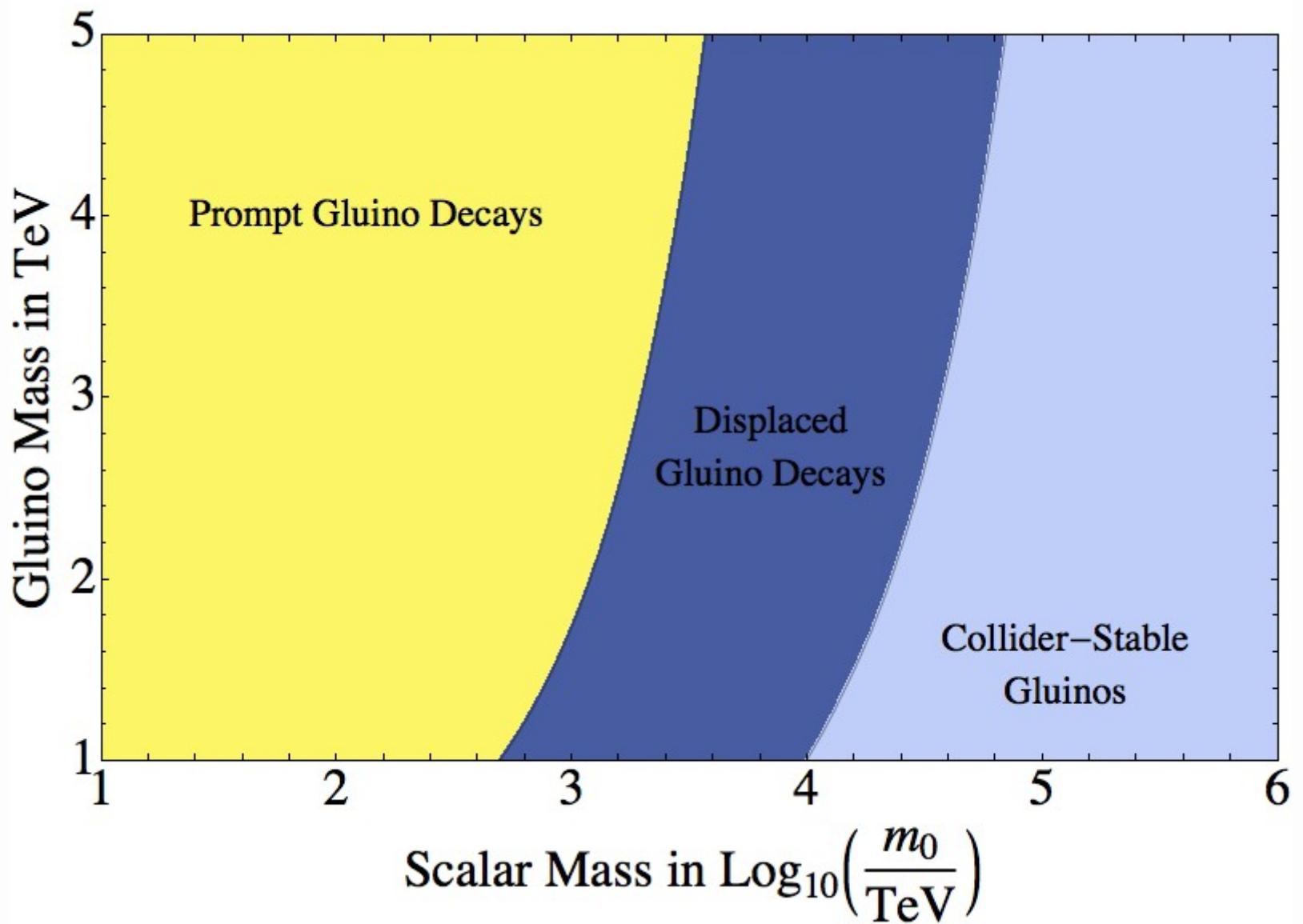
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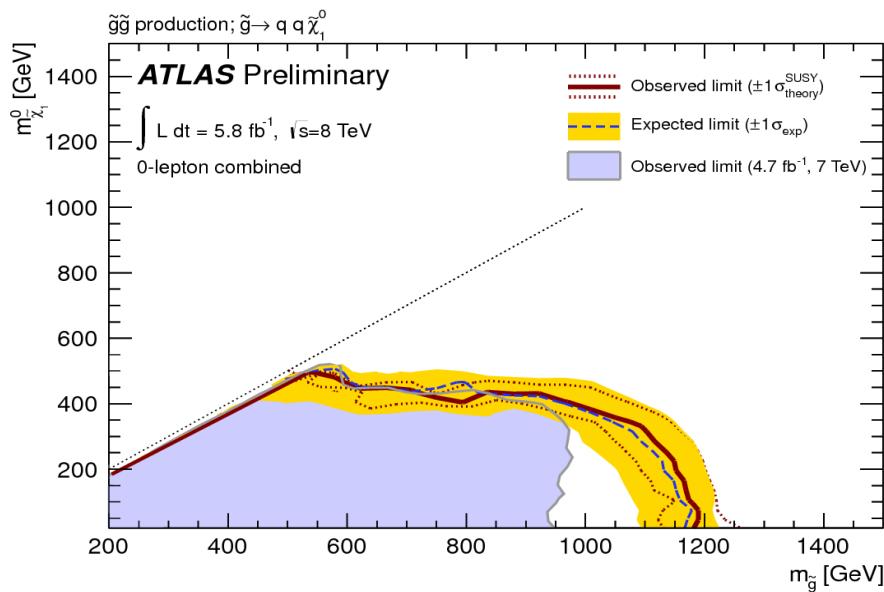


# Split Phenomenology

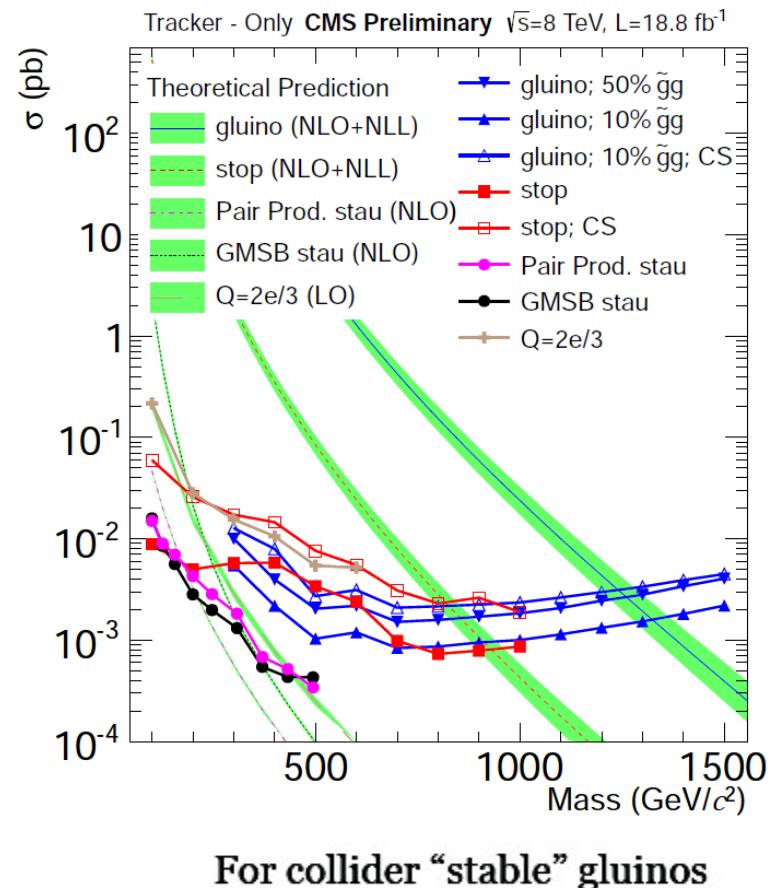
# Phenomenology: Gluino



# Gluino Bounds from the LHC



For prompt or  
slightly displaced gluinos

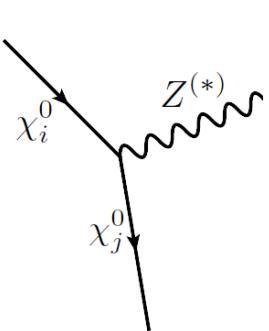


$M_{\text{gluino}} > 1.3 \text{ TeV}$  for split gluino

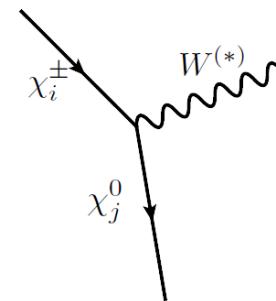
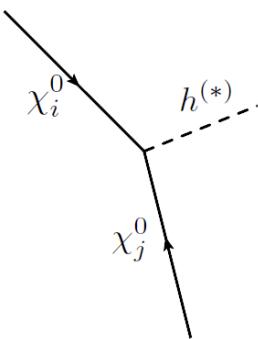
2.5 TeV to 3 TeV ultimate reach for split gluino

# Phenomenology: EWinos

Neutralino decays

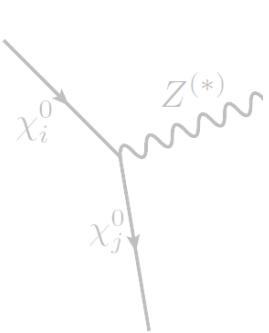


Chargino decays

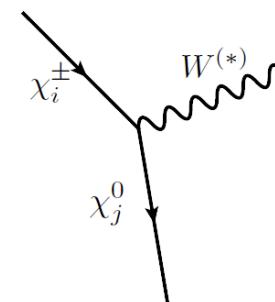
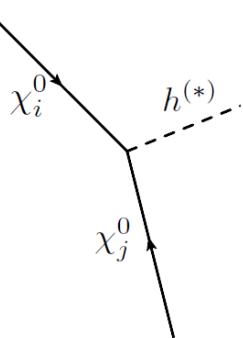


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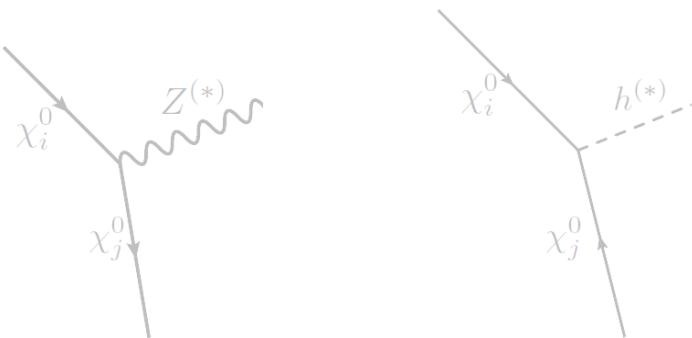


## Heavy Higgsinos:

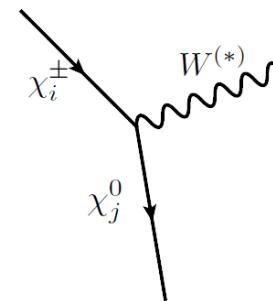
Bino LSP :  $\chi^\pm\chi^0 \rightarrow Wh+\text{MET}$   $\chi^+\chi^- \rightarrow WW+\text{MET}$

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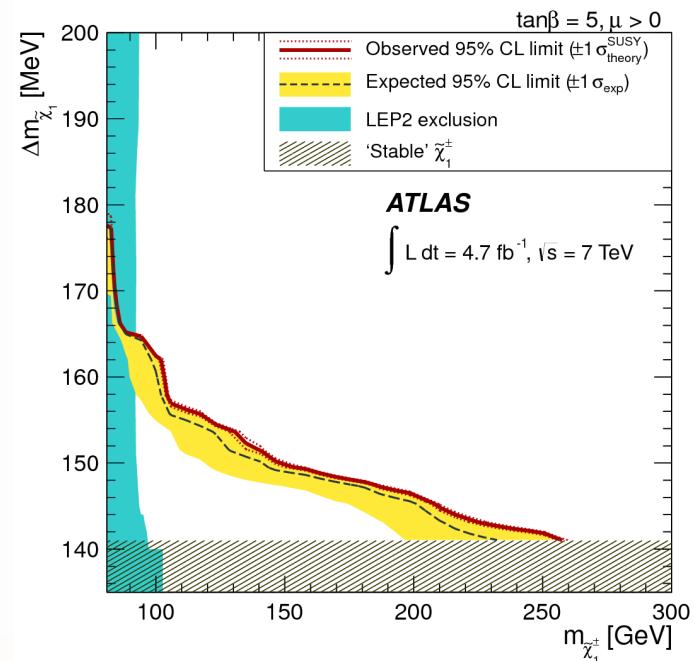
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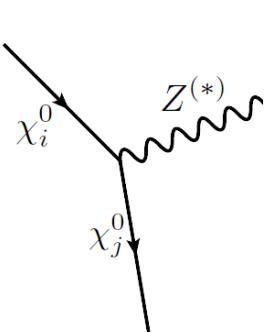
Bino LSP :  $\chi^\pm\chi^0 \rightarrow Wh + \text{MET}$     $\chi^+\chi^- \rightarrow WW + \text{MET}$

Wino LSP:  $\Delta m \sim 170 \text{ MeV} \rightarrow 10\text{cm stubs (trig. on ISR+MET)}$

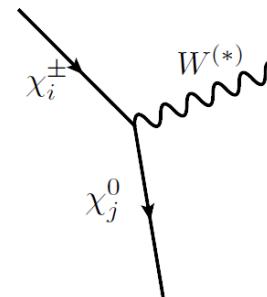
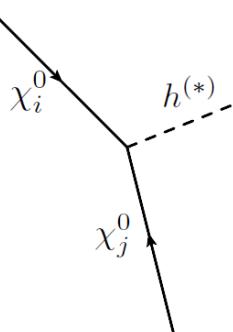


# Phenomenology: EWinos

Neutralino decays



Chargino decays



## Heavy Higgsinos:

Bino LSP :  $\chi^\pm\chi^0 \rightarrow Wh + \text{MET}$     $\chi^+\chi^- \rightarrow WW + \text{MET}$

Wino LSP:  $\Delta m \sim 170 \text{ MeV} \rightarrow 10\text{cm stubs (trig. on ISR+MET)}$

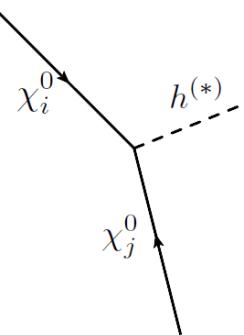
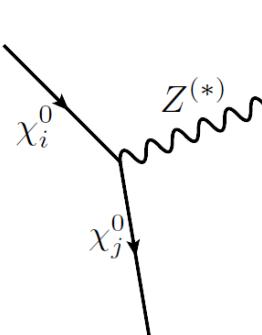
## Light Higgsinos:

Usual EWino searches

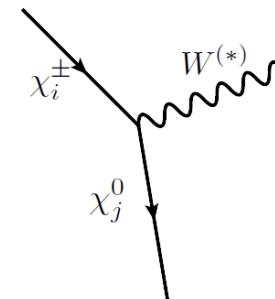
Possibility of testing all couplings and measuring  $\tan\beta$  at LC

# Phenomenology: EWinos

Neutralino decays



Chargino decays



## Heavy Higgsinos:

Bino LSP :  $\chi^\pm\chi^0 \rightarrow Wh+\text{MET}$   $\chi^+\chi^- \rightarrow WW+\text{MET}$

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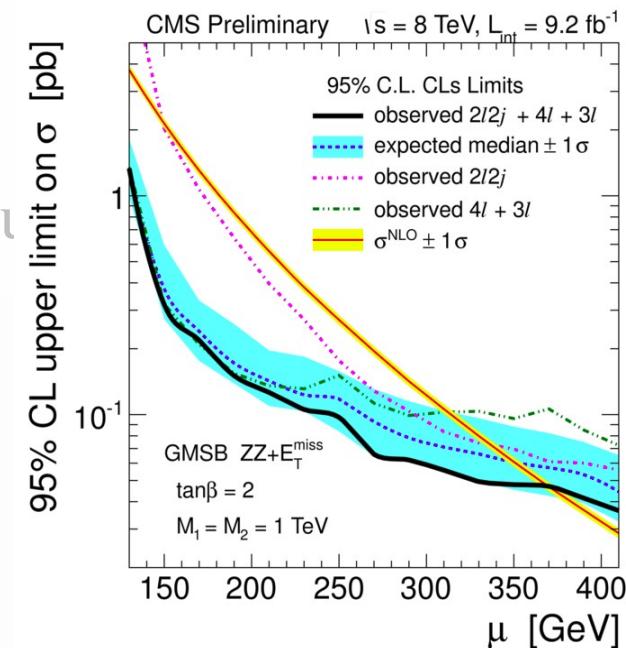
## Light Higgsinos:

Usual EWino searches

Possibility of testing all couplings and measure

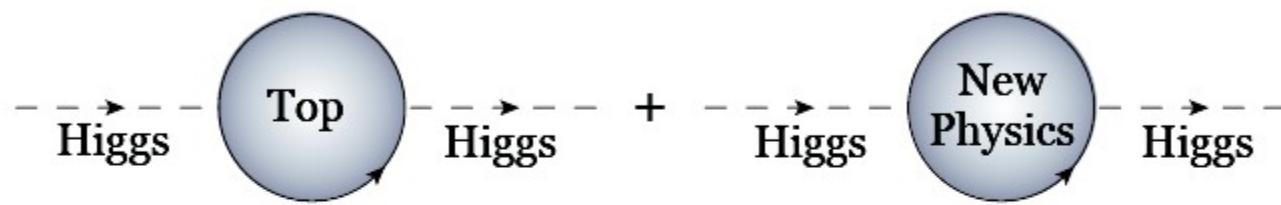
## Only Higgsinos:

$\Delta m \sim 355 \text{ MeV} \rightarrow <1\text{cm stubs harder to see}$   
if light gravitino h/Z+G decay

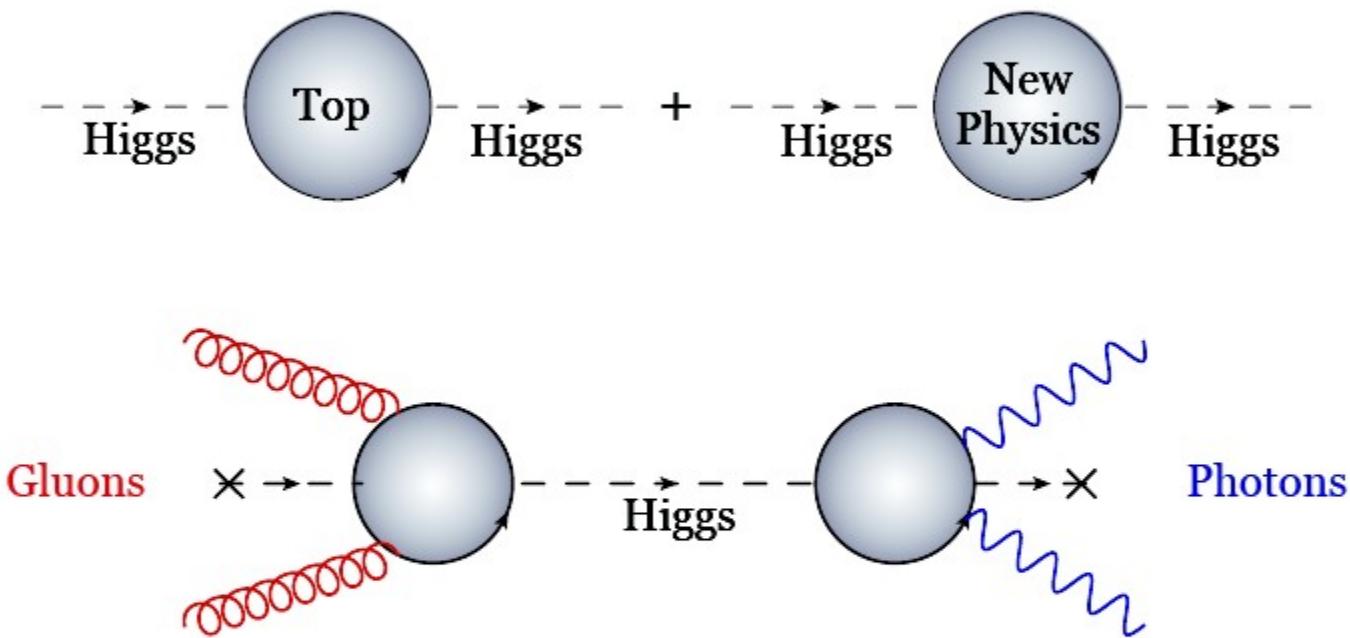


# Higgs couplings and Naturalness

# Naturalness and Higgs Properties

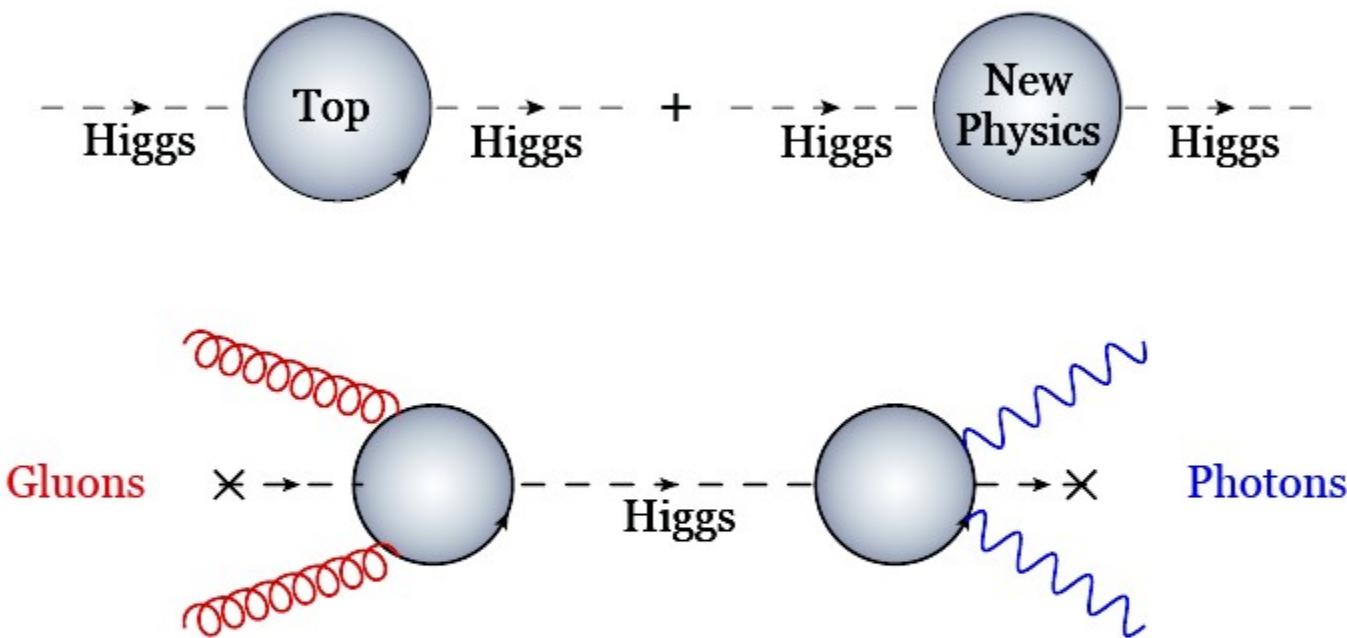


# Naturalness and Higgs Properties



A Natural Higgs is not the SM Higgs

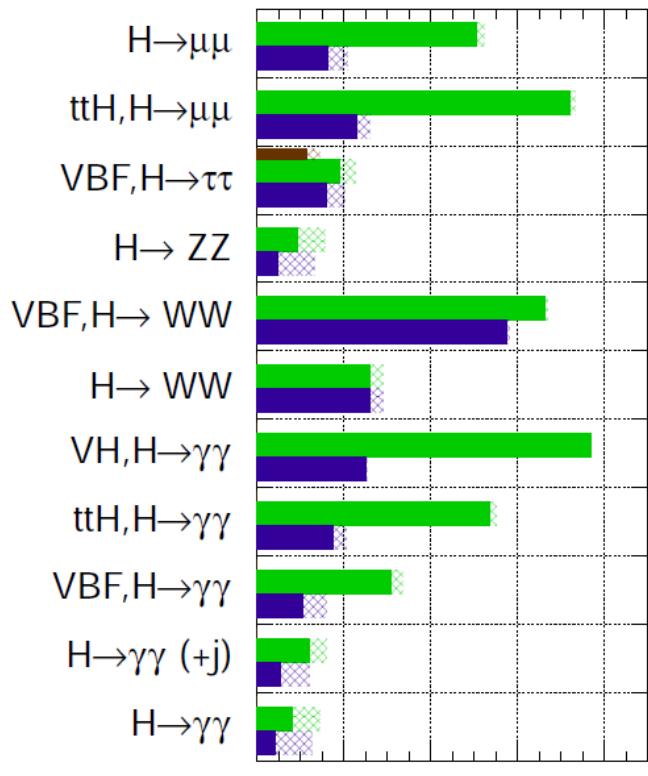
# Naturalness and Higgs Properties



$$\mu_{gg \rightarrow h} \approx 1 + \frac{m_t^2}{m_{\tilde{t}}^2} \sim 1 + \text{tuning}$$

### ATLAS Preliminary (Simulation)

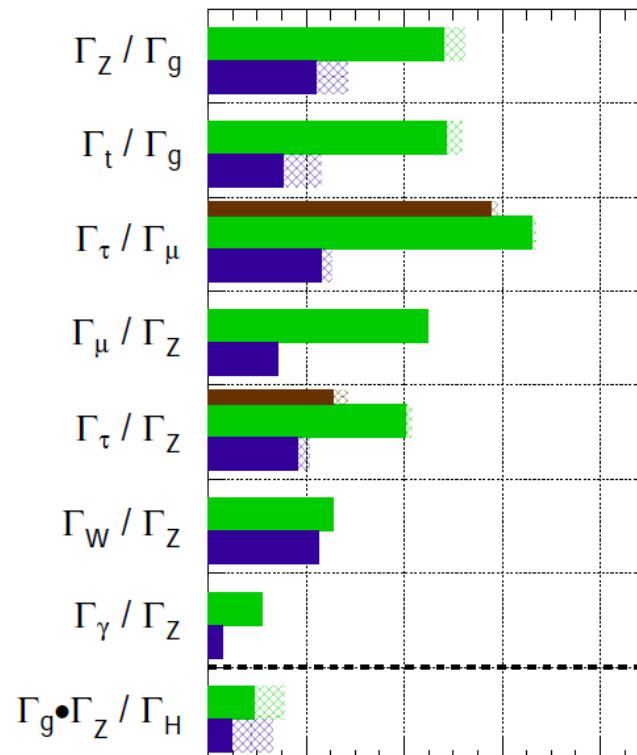
$\sqrt{s} = 14 \text{ TeV}$ :  $\int L dt = 300 \text{ fb}^{-1}$ ;  $\int L dt = 3000 \text{ fb}^{-1}$   
 $\int L dt = 300 \text{ fb}^{-1}$  extrapolated from 7+8 TeV



$$\frac{\Delta\mu}{\mu}$$

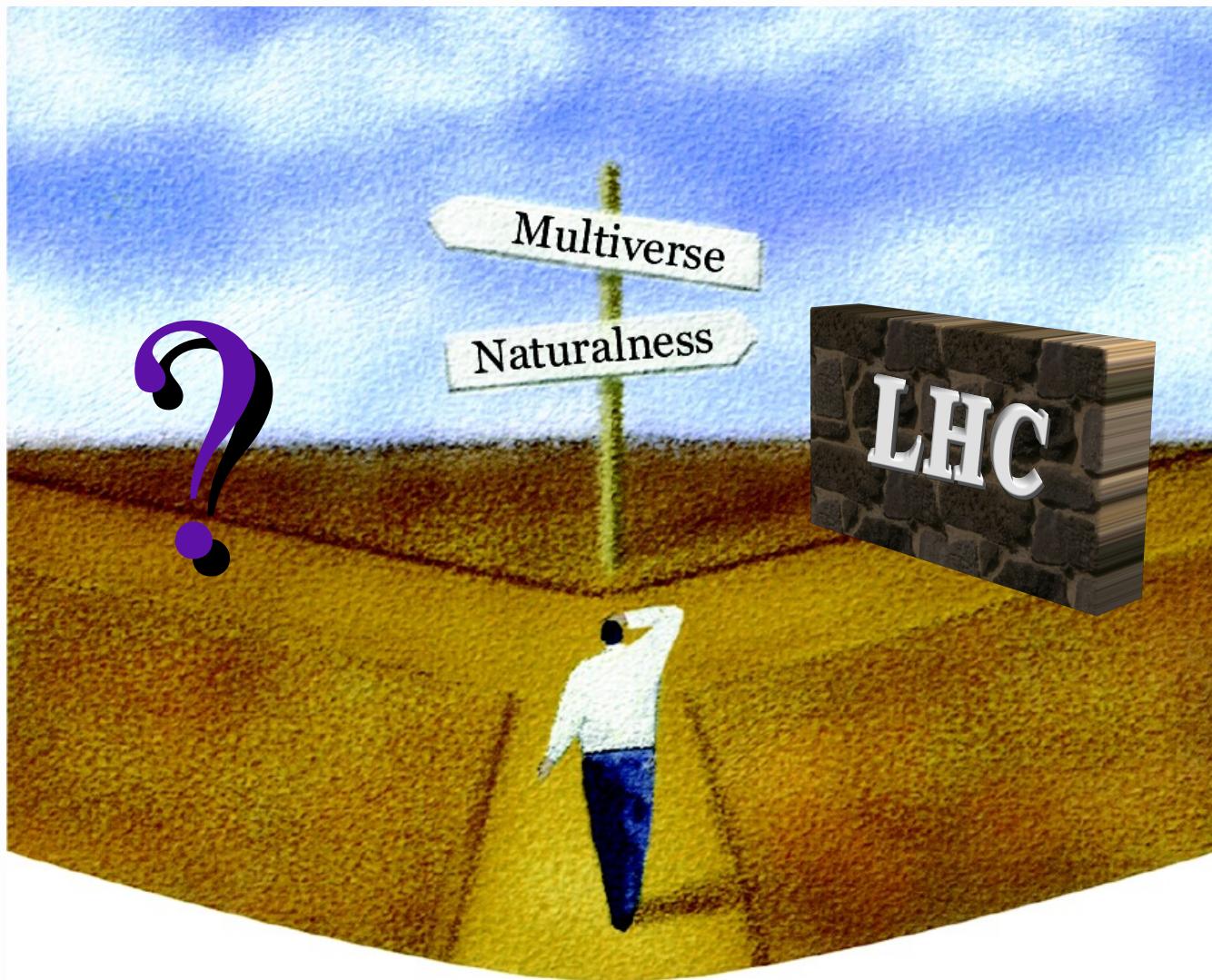
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 $\int L dt = 300 \text{ fb}^{-1}$  extrapolated from 7+8 TeV



$$\frac{\Delta(\Gamma_X/\Gamma_Y)}{\Gamma_X/\Gamma_Y} \sim 2 \frac{\Delta(\kappa_X/\kappa_Y)}{\kappa_X/\kappa_Y}$$

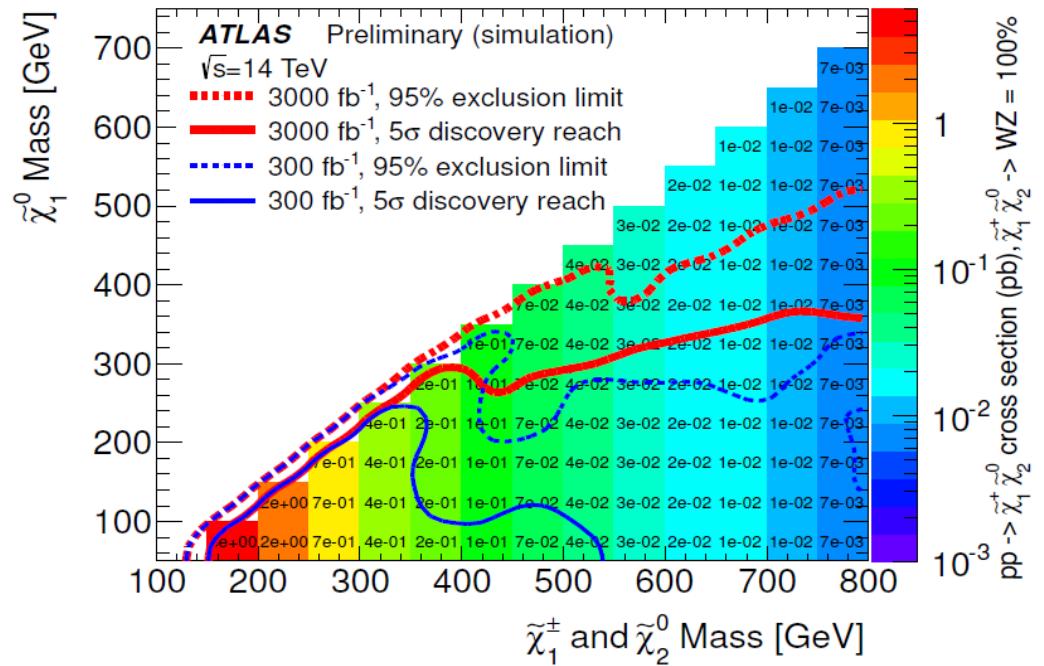
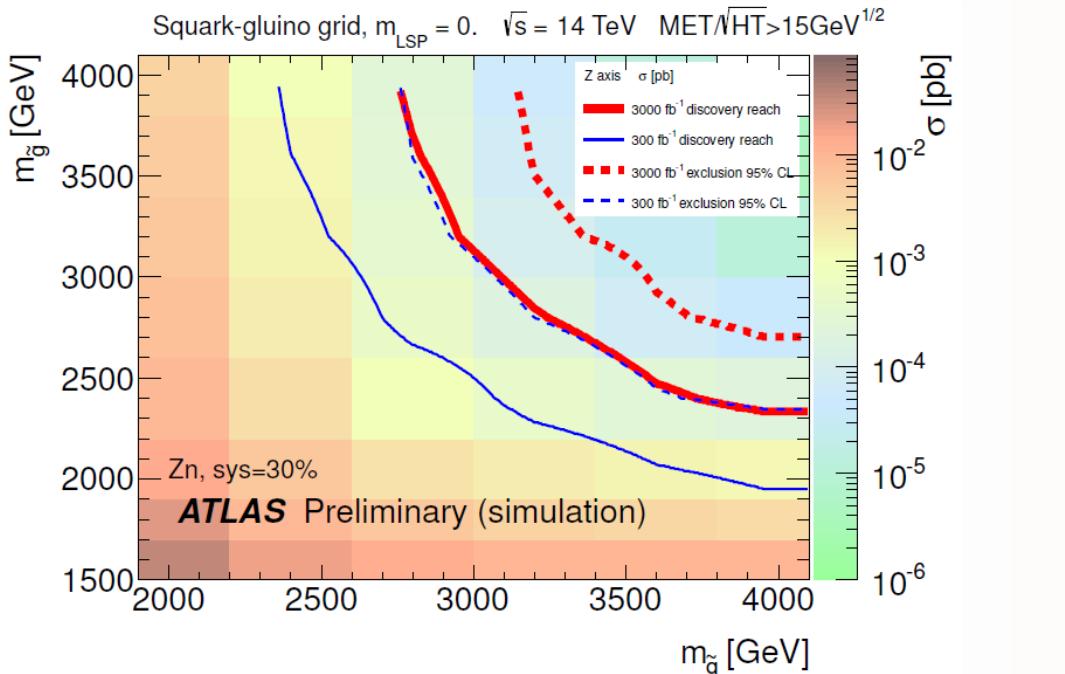
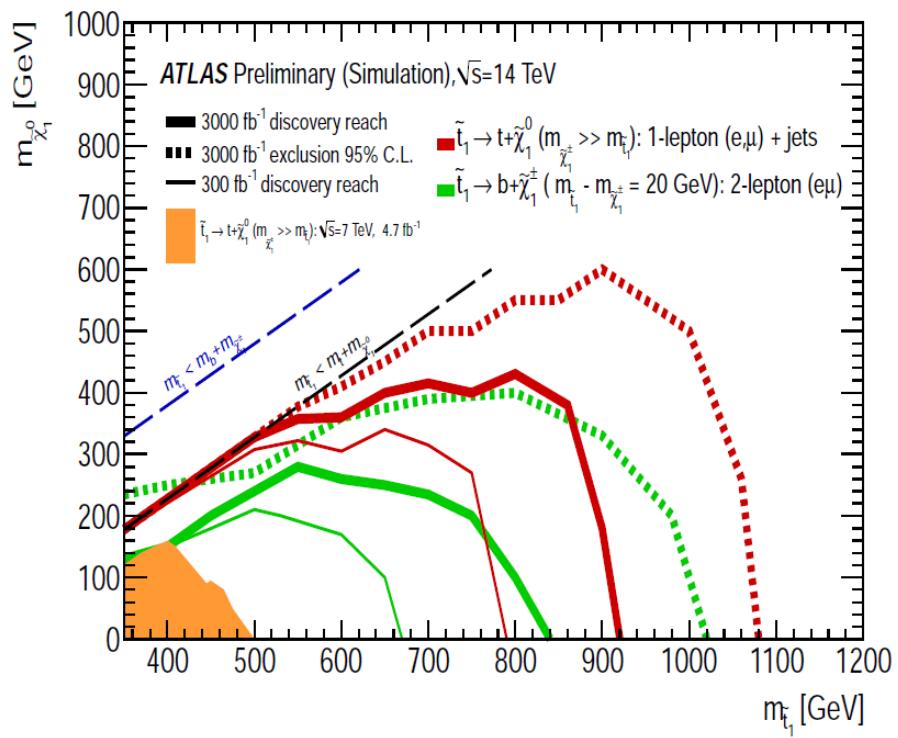
# Conclusions



# Wish List

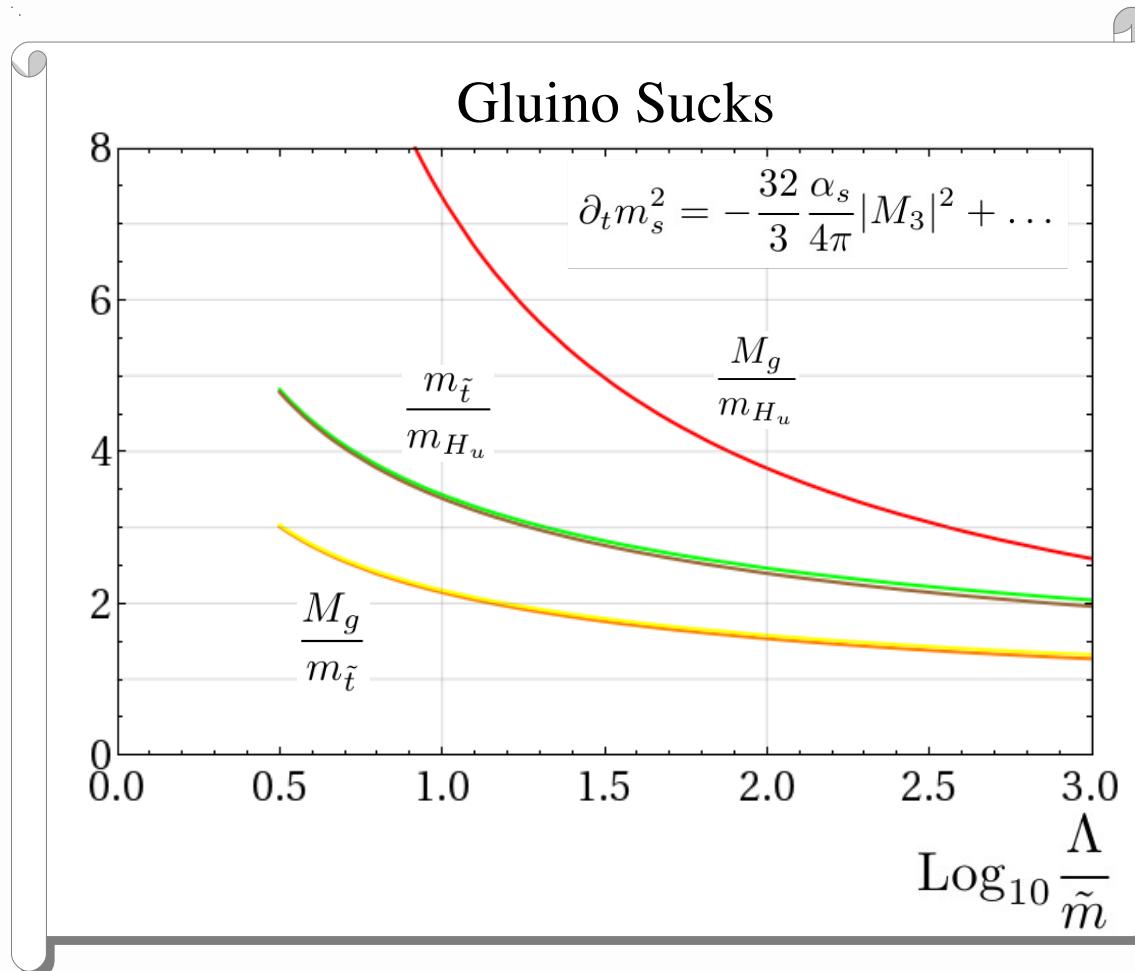
- “Natural” SUSY – *fill in the cracks*:
  - **EWino** searches (direct w/o sleptons)
  - BR-invariant **stop/sbottom** searches (ISR+MET, ...)
  - Full decay modes for “natural” **gluinos** ( $tttb$ ,  $ttbb$ ,  $tbbb$ )
- **bRPV** – widen the tested spectra
  - w/ simplified model gauginos (6:2:1) + squarks  
or better wino(+stop left) *vs* gluino
- **Mini-Split SUSY**
  - **EWino** searches (besides  $WZ$ +MET):  
 $WW$ +MET :  $Wh$ +MET : long-lived Wino, Higgsino

# *Back-up Slides*

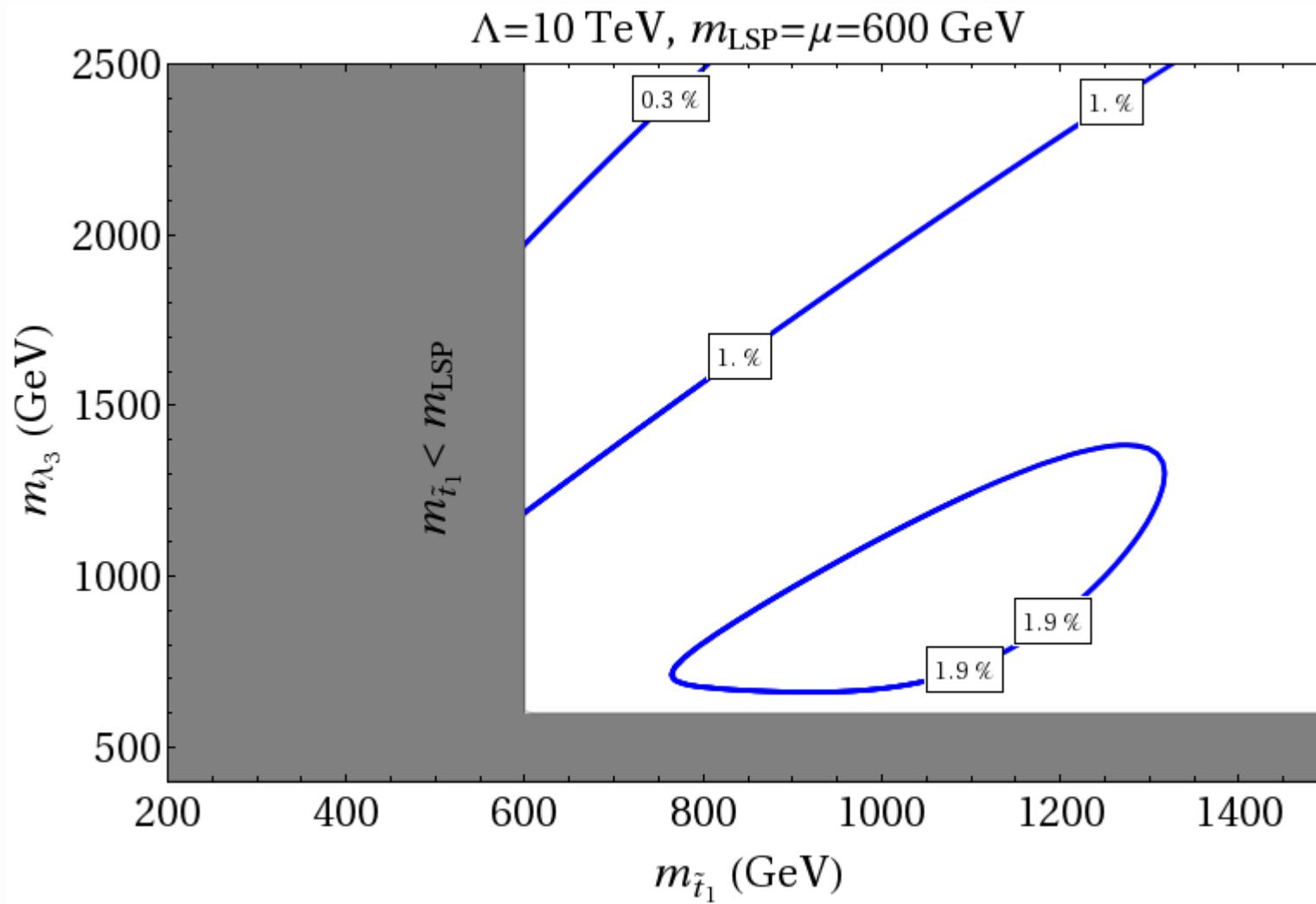


# Natural SUSY

Mild cancellation (10% tuning) requires  
 $\mu \lesssim 250$  GeV,  $m_{stop} \lesssim 700$  GeV,  $M_{gluino} \lesssim 1.4$  TeV



# Is “Natural” SUSY Natural?



# Is “Natural” SUSY Natural?

in progress with:

Arvanitaki, Baryakhtar, Gherghetta, Huang, Van Tilburg

$$\begin{array}{c} \overline{5+\bar{5}} \\ \overline{1+\bar{1}} \\ \overline{\phantom{1}} \end{array} \quad \begin{array}{c} M_D \\ M_N \\ F^{1/2} \end{array}$$

$U(1)'_{B-L}$  for the first two generations  
Gauge Mediation (+ some Higgs mass fix)

$$\begin{array}{c} \overline{\phantom{1}} \quad m_{1,2} \\ \overline{\phantom{1}} \quad m_3, \mu, m_H, M_{123} \end{array}$$

CKM mixing from:  $\lambda_i Q_i H_d D_3 \frac{\Phi}{X_D}$

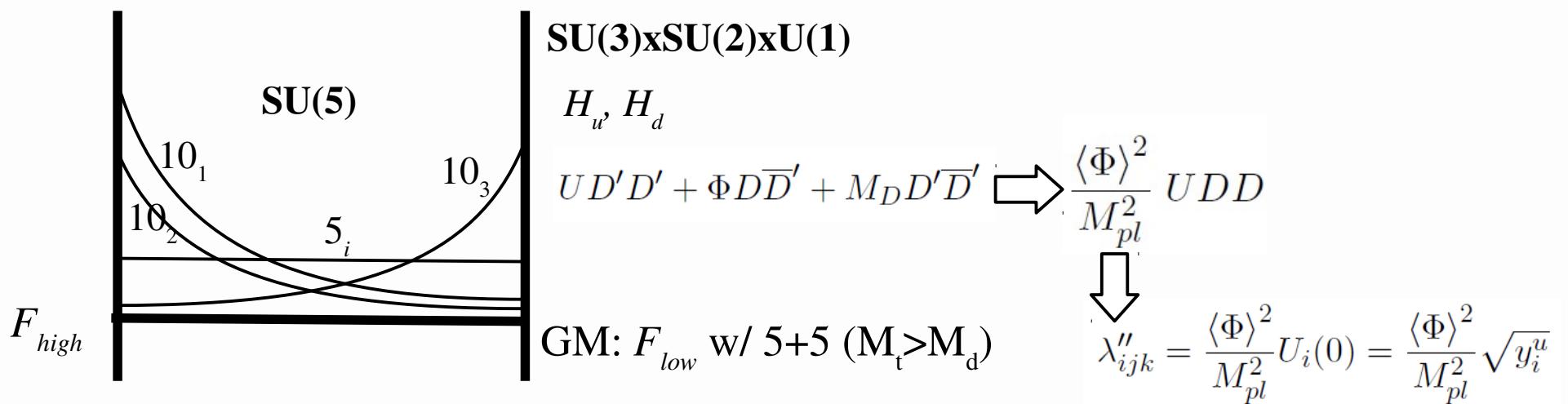
$\varepsilon_K$  constraints  $\rightarrow m_{1,2} \gtrsim \text{few TeV}$

$\Rightarrow M_D > 10^7 \text{ GeV} \Rightarrow \text{few \% tuning}$

# *b*RPV SUSY:

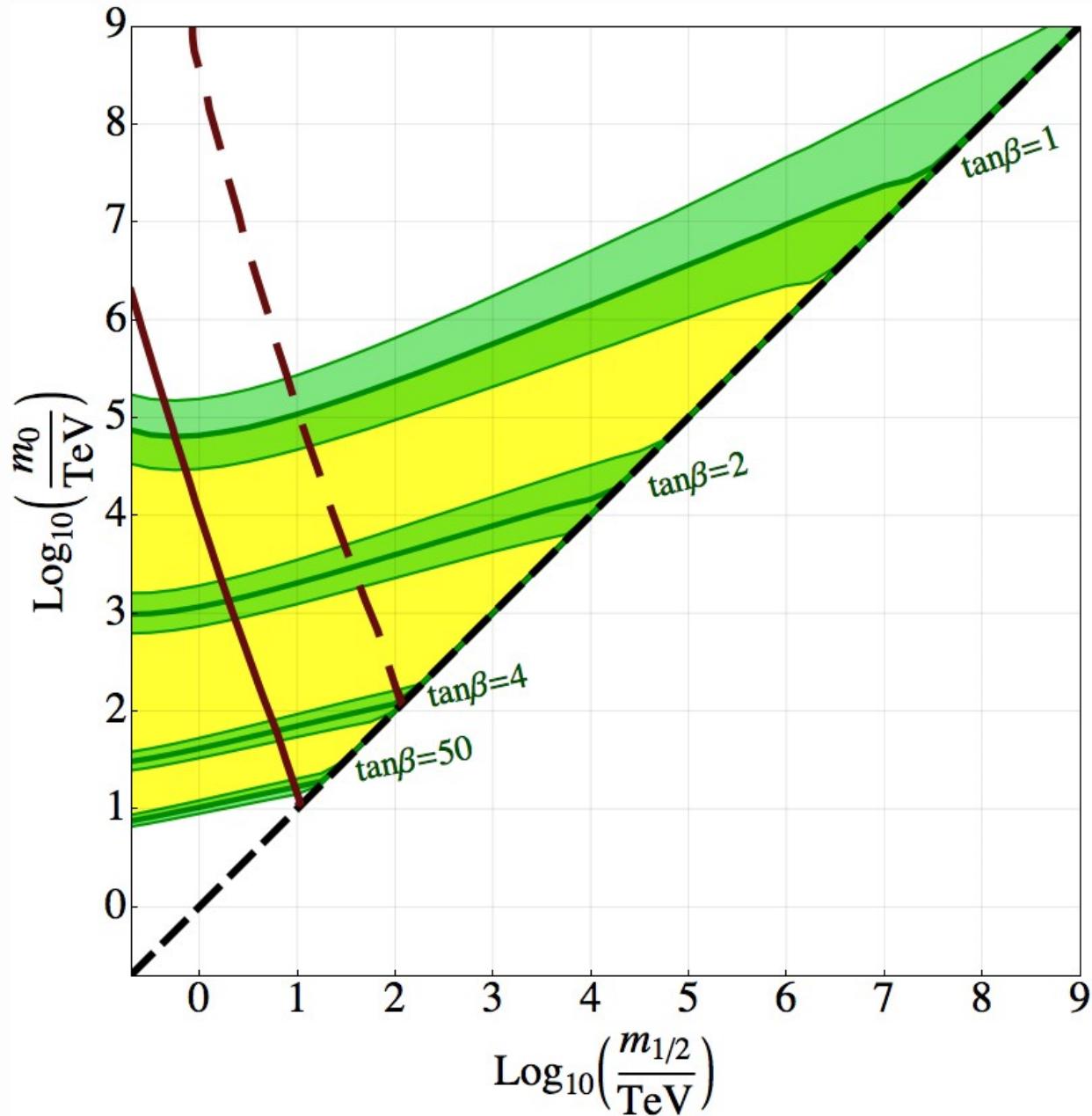
- *Higgs fix*
- *low scale mediation (but not too low)*
- *extra susy breaking sector ( $m_p < m_{3/2} < 5 \text{ GeV}$ )*
- *non-universal gaugino masses*
- *avoid vanilla spectra: leptons, W, Z ...*
- *hierarchical  $\lambda''$*

*a “simple” model:*

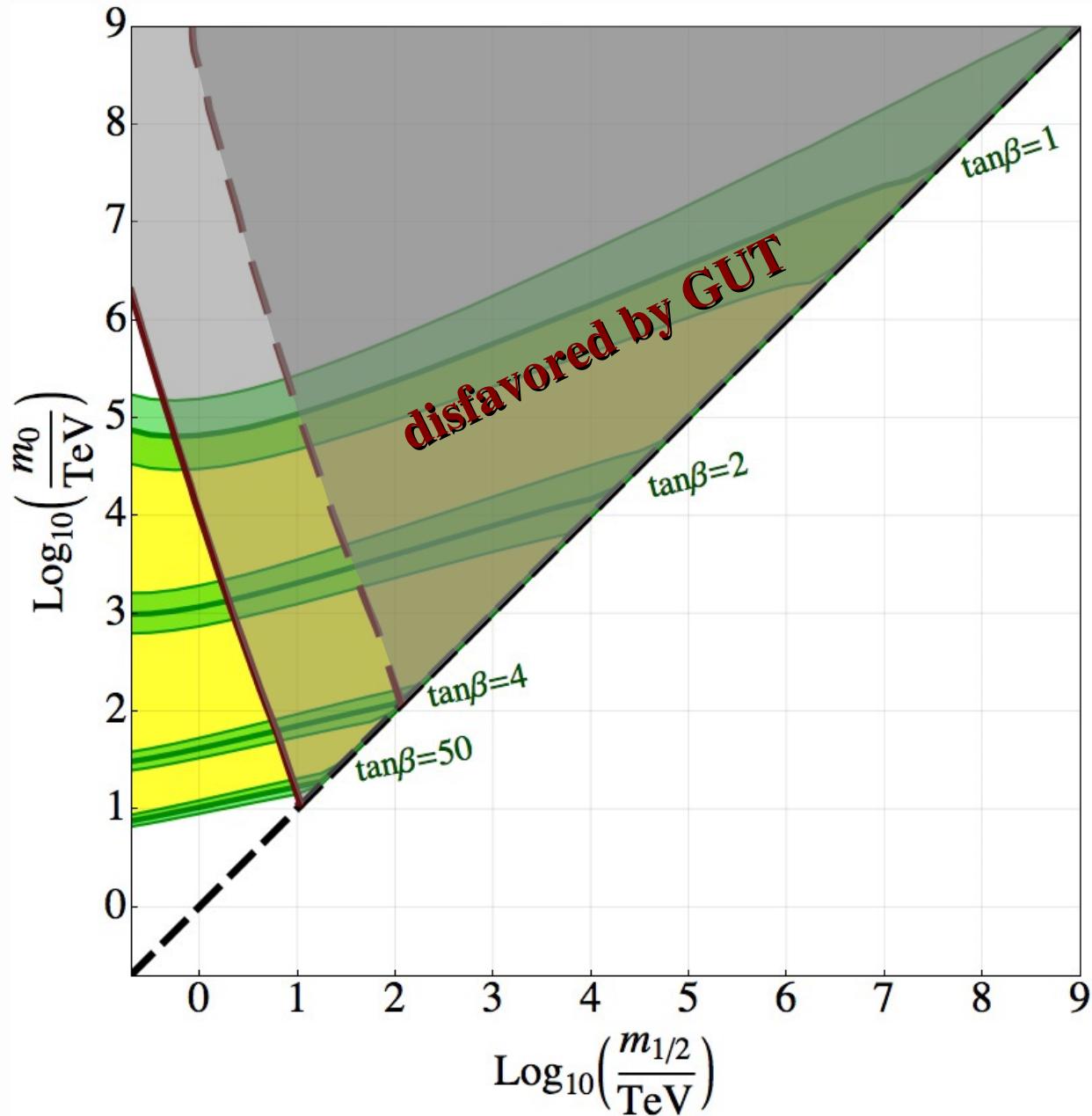


in progress with:  
Arvanitaki, Baryakhtar, Gherghetta, Huang, Van Tilburg

more in general



more in general

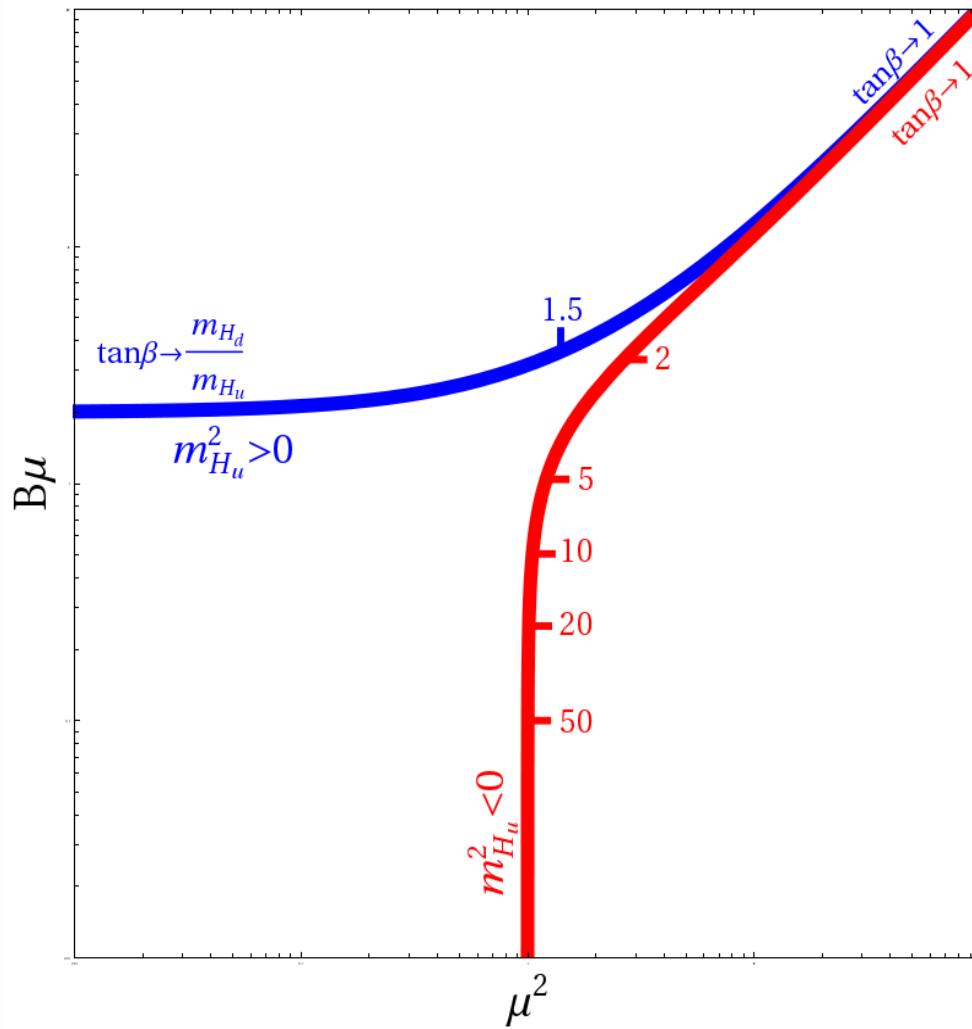


# Tuning the EWSB...

$$\det \begin{pmatrix} |\mu|^2 + m_{H_u}^2 & -B_\mu \\ -B_\mu^* & |\mu|^2 + m_{H_d}^2 \end{pmatrix} \approx 0, \quad \tan \beta = \sqrt{\frac{m_{H_d}^2 + |\mu|^2}{m_{H_u}^2 + |\mu|^2}}$$

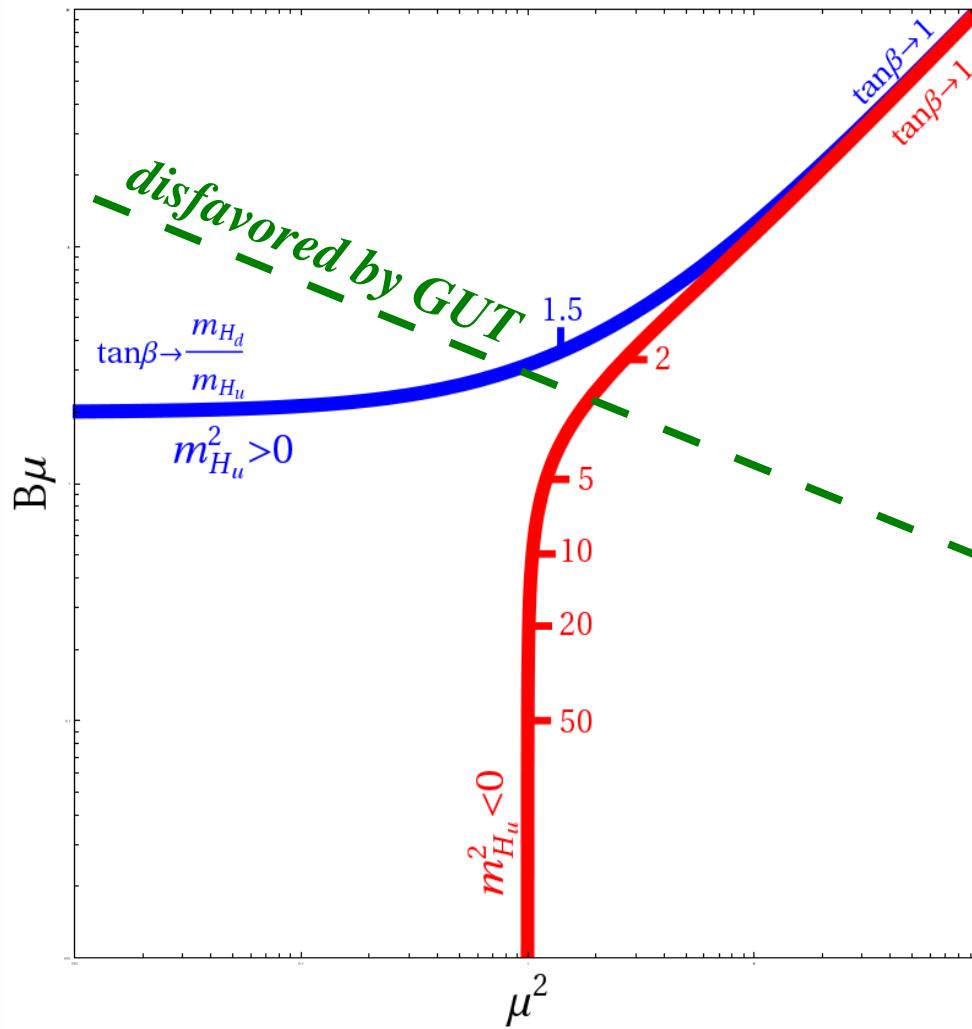
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# RGE and tachyons in Split

$$\frac{dm_i^2}{dt} = c_i X_t + \frac{6}{5} Y_i \frac{\alpha_Y}{4\pi} \text{Tr}(Y m^2) - (\text{gauginos})$$

~

The diagram shows the RGE equation for gauginos. The equation is:

$$\frac{dm_i^2}{dt} = c_i X_t + \frac{6}{5} Y_i \frac{\alpha_Y}{4\pi} \text{Tr}(Y m^2) - (\text{gauginos})$$

Two terms are highlighted with ovals:

- A blue oval labeled "Yukawa" covers the term  $c_i X_t$ .
- A green oval labeled "D-term" covers the term  $\frac{6}{5} Y_i \frac{\alpha_Y}{4\pi} \text{Tr}(Y m^2)$ .

# RGE and tachyons in Split

$$\frac{dm_i^2}{dt} = c_i X_t + \frac{6}{5} Y_i \frac{\alpha_Y}{4\pi} \text{Tr}(Y m^2) - \cancel{(gauginos)}$$

~

*Yukawa*      *D-term*

# RGE and tachyons in Split

$$\frac{dm_i^2}{dt} = c_i X_t + \frac{6}{5} Y_i \frac{\alpha_Y}{4\pi} \text{Tr}(Y m^2) - (\cancel{\text{gauginos}})$$



**=0 if  $m_{Hu} = m_{Hd}$  + GUT B.C.**

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$$\frac{dm_i^2}{dt} = c_i X_t + \frac{6}{5} Y_i \frac{\alpha_Y}{4\pi} \text{Tr}(Y m^2) - (\text{gauginos})$$

*(gaugeinos)* ~~gauginos~~

= 0 if  $m_{Hu} = m_{Hd}$  + GUT B.C.

**Yukawa**

**D-term**

$X_t = \frac{|y_t|^2}{8\pi^2} (m_{H_u}^2 + m_{\tilde{t}_L}^2 + m_{\tilde{t}_R}^2)$

# RGE and tachyons in Split

$$\frac{dm_i^2}{dt} = c_i X_t + \frac{6}{5} Y_i \frac{\alpha_Y}{4\pi} \text{Tr}(Y m^2) - (\text{gauginos})$$

*(gaugeinos)* ~~gauginos~~

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IR fixed point:  $X_t \rightarrow 0 \Rightarrow$  tachyon

# RGE and tachyons in Split

$$\frac{dm_i^2}{dt} = c_i X_t + \frac{6}{5} Y_i \frac{\alpha_Y}{4\pi} \text{Tr}(Y m^2) - (\text{gauginos})$$

Yukawa
D-term

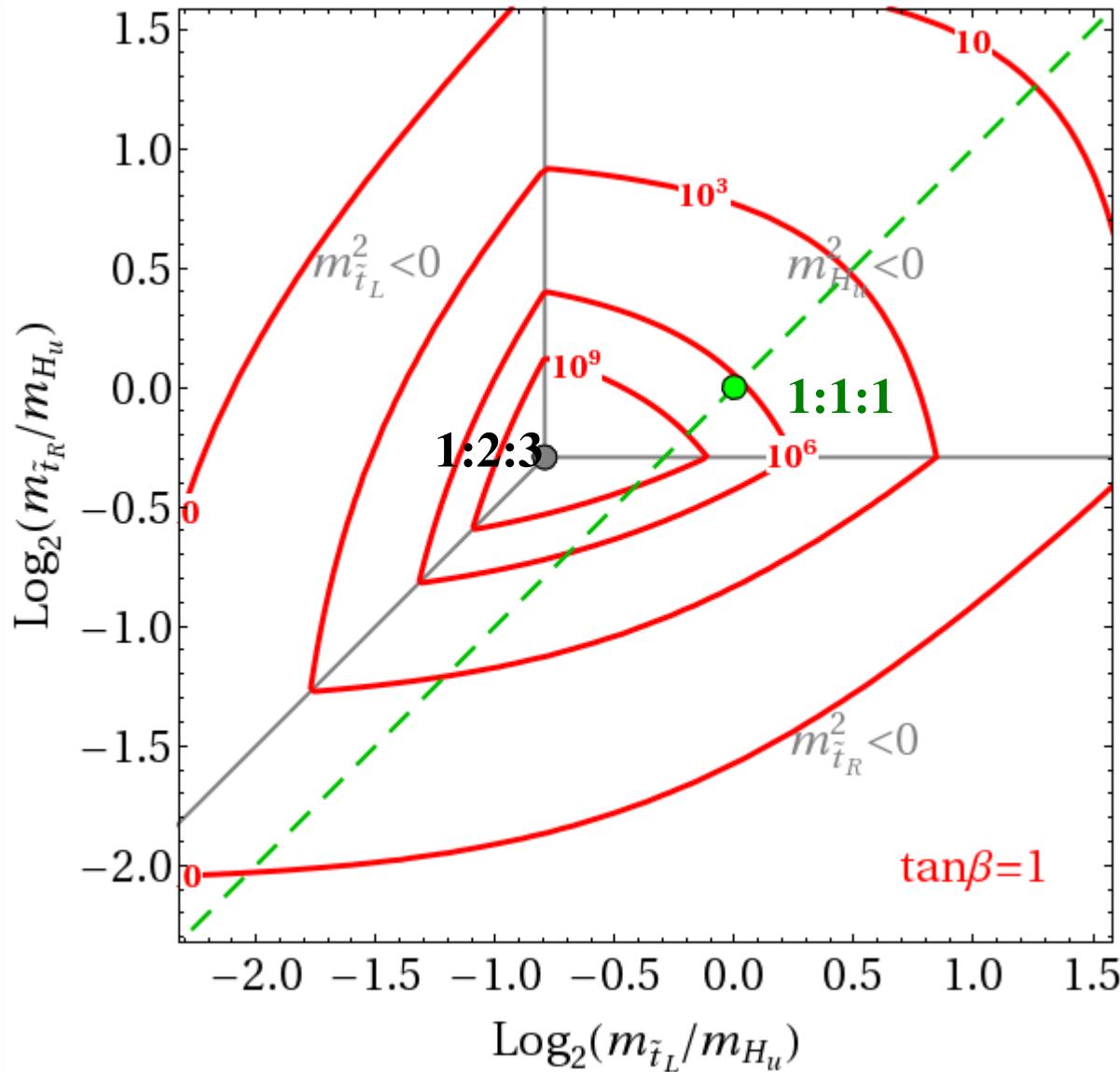
$=0 \text{ if } m_{H_u} = m_{H_d} + \text{GUT B.C.}$

$$X_t = \frac{|y_t|^2}{8\pi^2} (m_{H_u}^2 + m_{\tilde{t}_L}^2 + m_{\tilde{t}_R}^2)$$

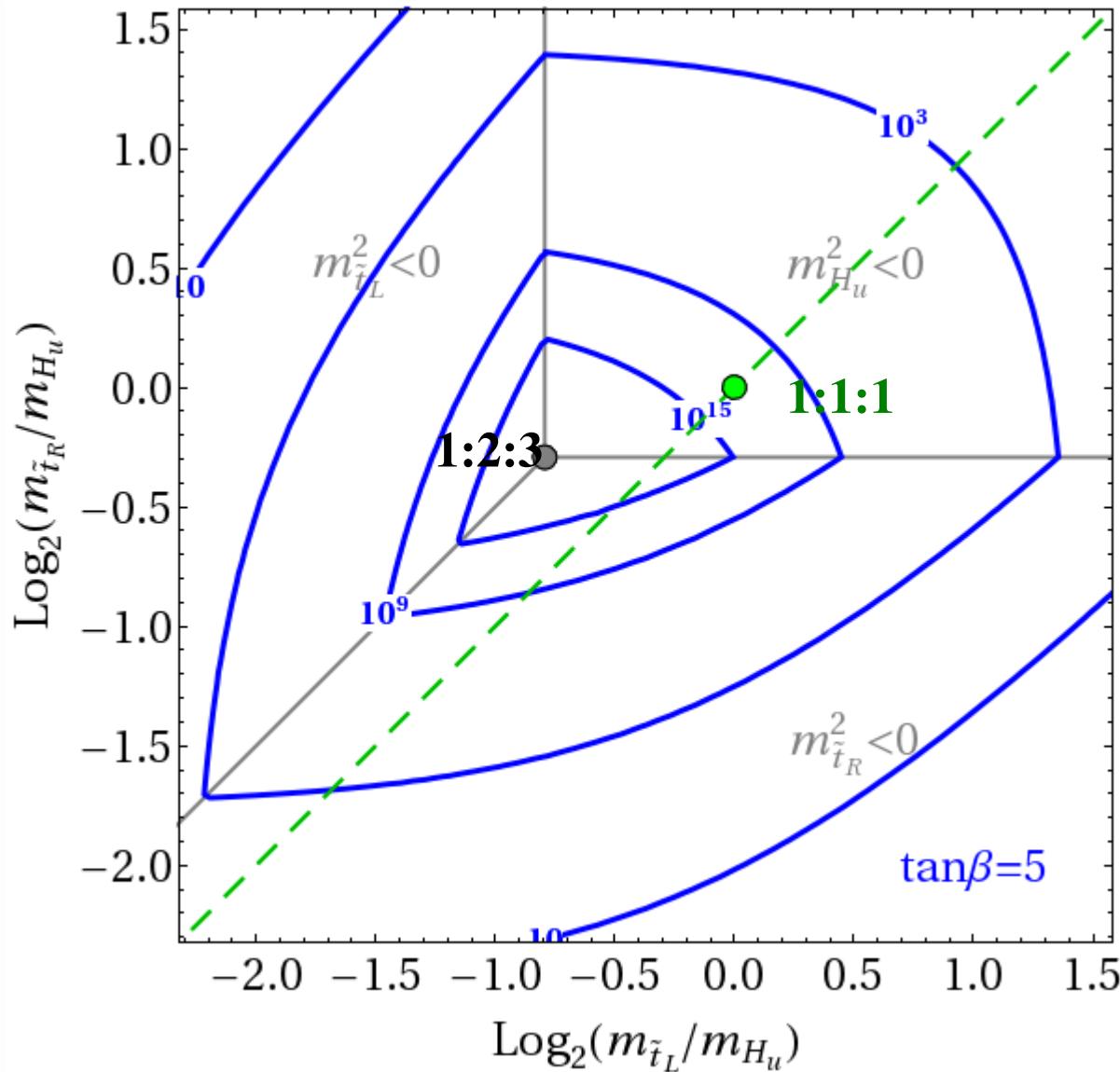
IR fixed point:  $X_t \rightarrow 0 \Rightarrow$  tachyon

UV fixed point  $m_{\tilde{t}_L}^2 : m_{\tilde{t}_R}^2 : m_{H_u}^2 = 1 : 2 : 3$

# How much you can run...

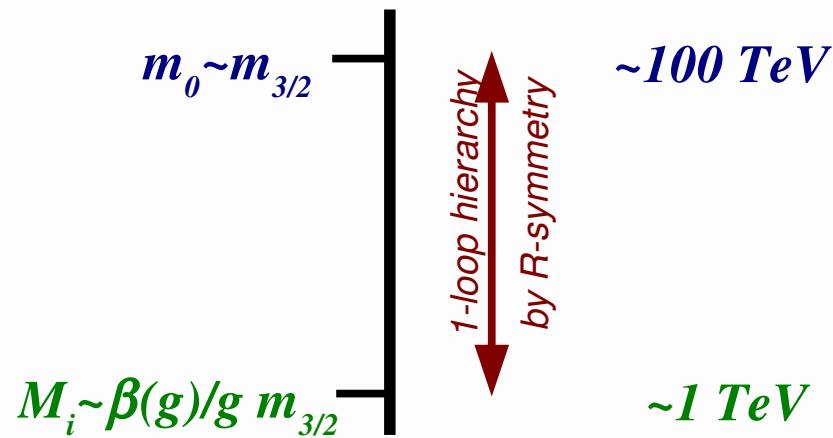


# How much you can run...



# Anomaly Mediation

*Giudice, Luty, Murayama, Rattazzi '98*

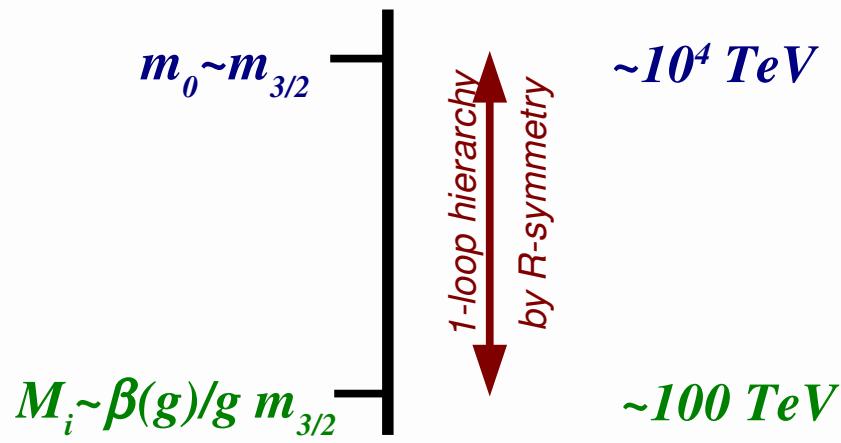


## Light AMSB

- $\mu^2 \sim B_\mu \sim m_{3/2}^2$   
Giudice-Masiero or explicit  $\mu$ -term
- $\tan\beta \sim 4$
- $m_{Hu}^2$  can run negative
- Light gauginos ( $W$ - or  $B$ -ino LSP)
- GUT still OK
- Flavor Problem

# Anomaly Mediation

*Giudice, Luty, Murayama, Rattazzi '98*



## Heavy AMSB

- $B_\mu \sim m_{3/2}^2 \gg \mu^2$   
Giudice-Masiero-ish
- $\tan\beta \sim 1$
- $m_{Hu}^2 > 0$
- Heavy gauginos  
(higgsinos can be light)
- GUT OK
- No Flavor Problem

# Gauge Mediation

Hidden assumption of natural GM:

Efficient breaking of R-symmetry in SUSY breaking sector

Very easy to get parametrically lighter gauginos:

- by suppression of R-symmetry breaking in the hidden sector
- by accidental cancellations such as gaugino screening

*Arkani-Hamed, Giudice, Luty, Rattazzi '98*

*Example:*  $W = M_R (\Phi_1 \bar{\Phi}_1 + \Phi_2 \bar{\Phi}_2) + X \Phi_1 \bar{\Phi}_2$        $X = M + F\theta^2$

$$m_{\lambda_i} = \frac{\alpha_i}{6\pi} \frac{M}{M_R} \frac{F^3}{M_R^5} + \mathcal{O}\left(\frac{M^3}{M_R^3} \frac{F^3}{M_R^5}, \frac{F^5}{M_R^9}\right)$$

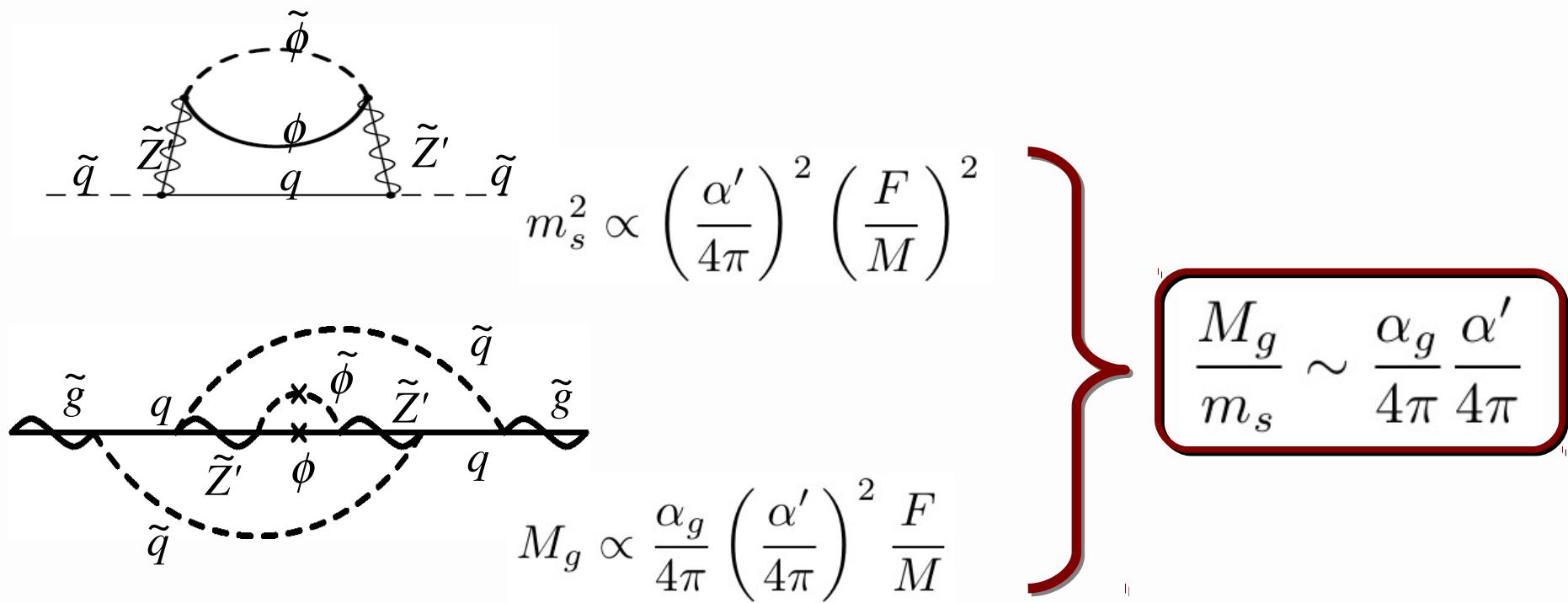
- Advantage over AMGB: no flavor problem
- Advantages over natural GM:
  - gravitino can be heavier than LSP  $\rightarrow$  thermal dark matter
  - $\mu$ - $B\mu$  no longer a problem

# U(1)' Split SUSY

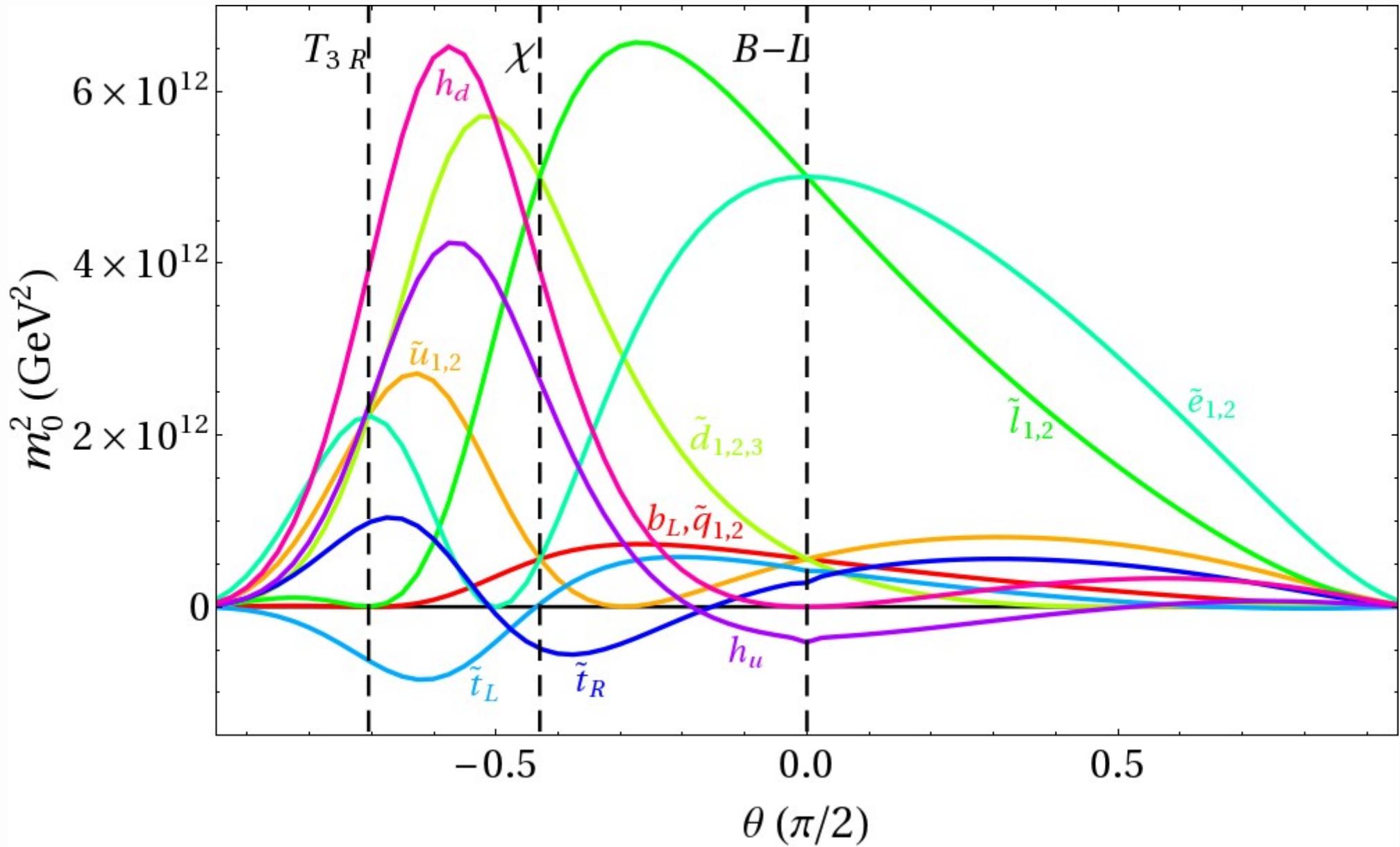
**MSSM + U(1)':**

$$U(1)' = \cos(\theta) U(1)_{B-L} + \sin(\theta) U(1)_Y$$

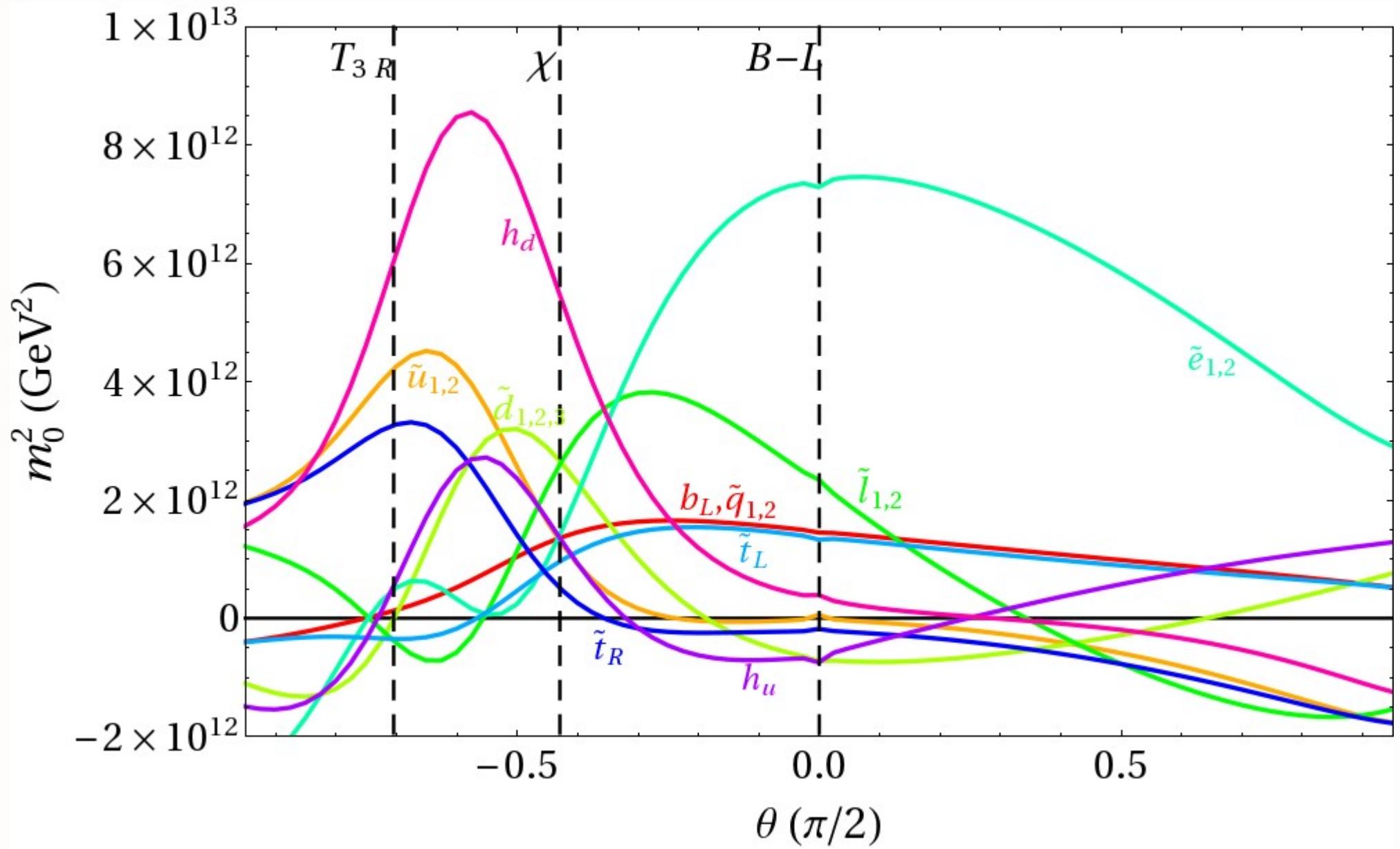
SUSY breaking mediated by U(1)'  
 ( $\Leftrightarrow$  mediators only charged under  $B-L$ )



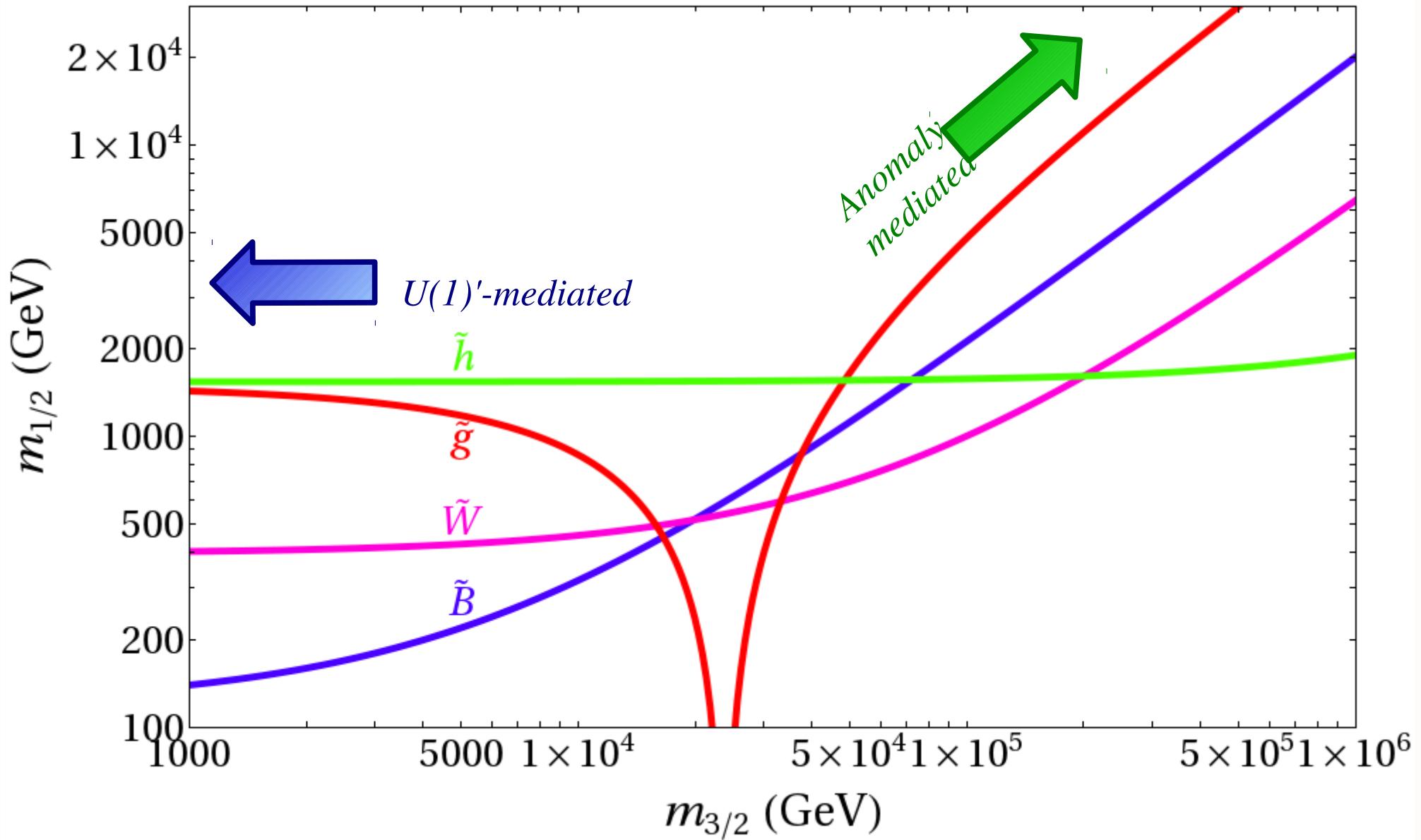
# $U(1)'$ spectrum with no D-terms



# $U(1)'$ spectrum with D-terms



# $U(1)'$ fermion spectrum



# Higgs couplings in Split

$$\frac{\Gamma_{h \rightarrow \gamma\gamma}}{\Gamma_{h \rightarrow \gamma\gamma}^{SM}} \simeq 1 + \frac{12}{17} \frac{m_W^2 \sin 2\beta}{\mu m_{\lambda_2} - m_W^2 \sin 2\beta}$$

