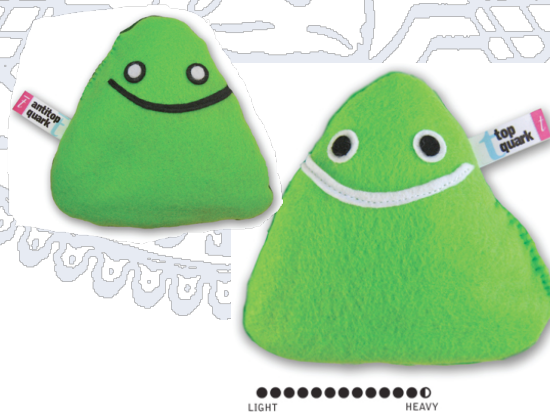
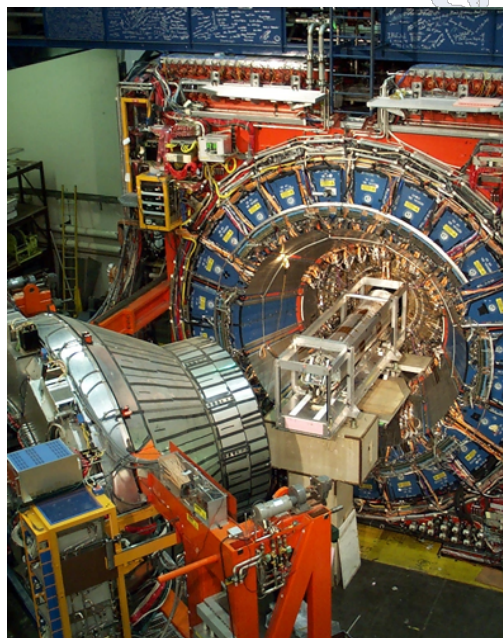


Top Properties at the Tevatron

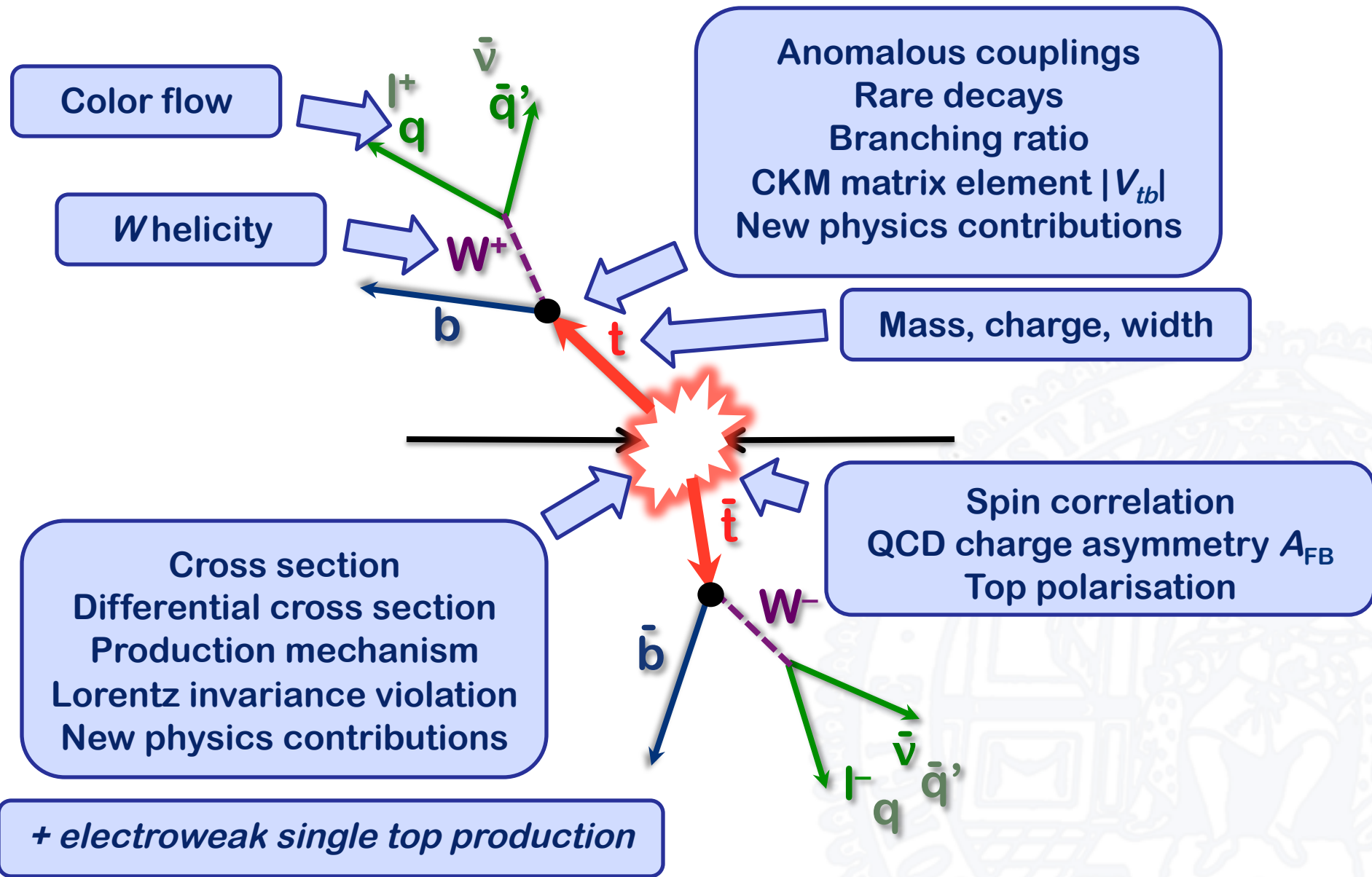
Oleg Brandt on behalf of the CDF and DØ collaborations

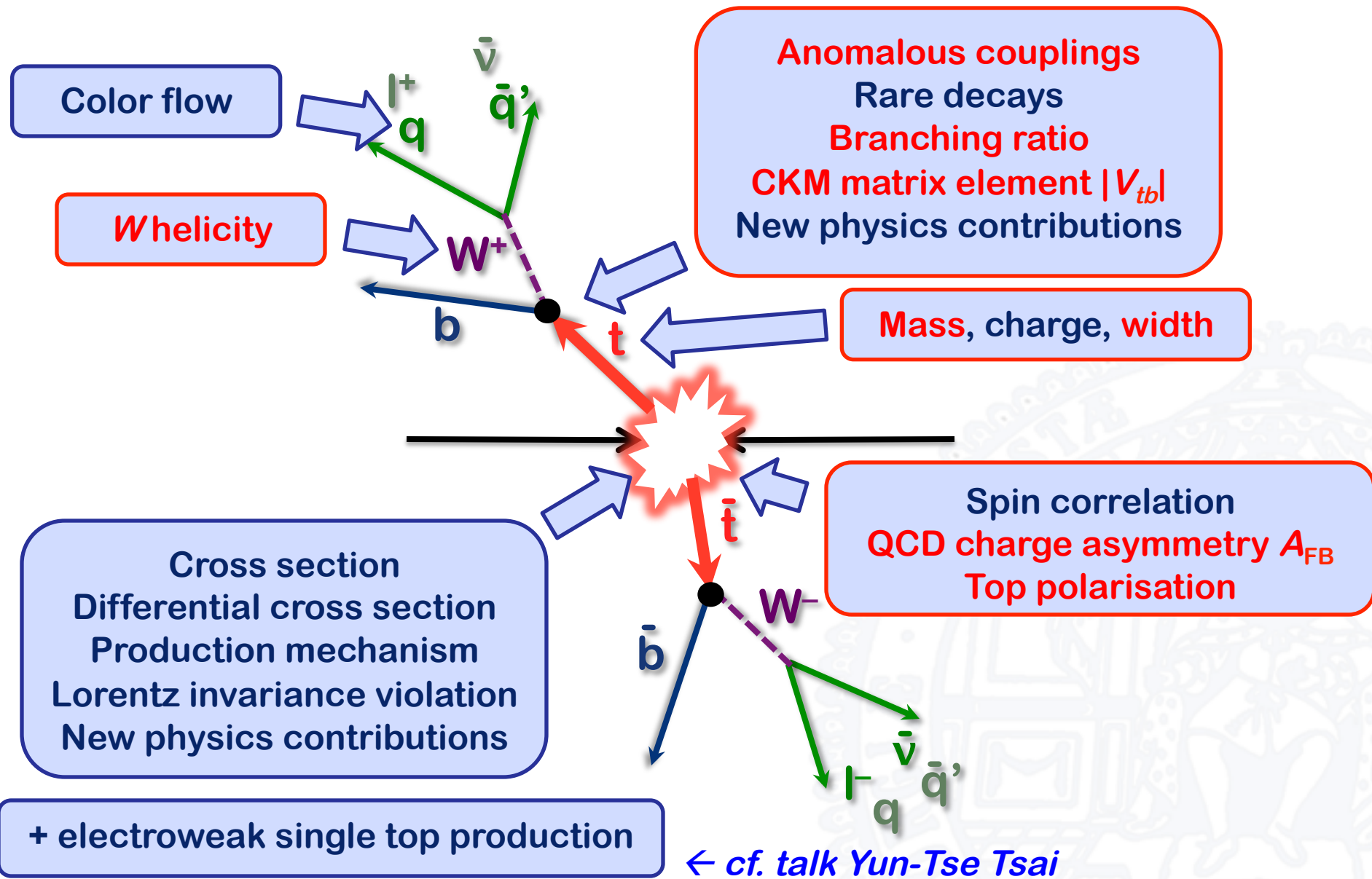
II. Physikalisches Institut, Georg-August-Universität Göttingen

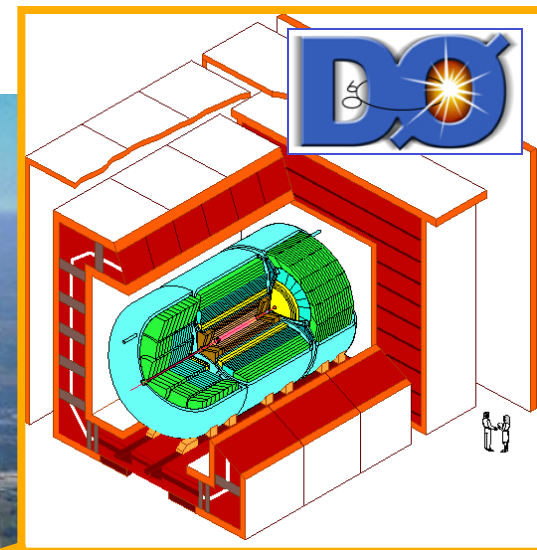
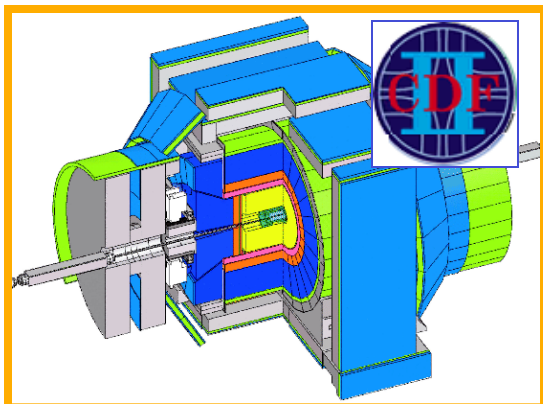


- Compelling arguments that **new physics** can show up in the **top sector**:
 - Top is the **heaviest** quark discovered so far
 - Its **Yukawa** coupling is **0.996 ± 0.006**
 - Special role in EWSB?
 - Since 17 years, our measurements have been *consistent with SM predictions* in the top sector *within uncertainties*
 - D0 and CDF collected **thousands of $t\bar{t}$ events**, enabling **precise studies of top properties**
 - There are recent measurements displaying **tension between Tevatron data and the SM predictions (A_{FB} , R -ratio)**









$\sqrt{s} = 1.96 \text{ TeV}$

$L = \mathcal{O}(10 \text{ fb}^{-1}) \text{ p.e.}$



- Initial state for top-antitop pair-production rather different between Tevatron and LHC:

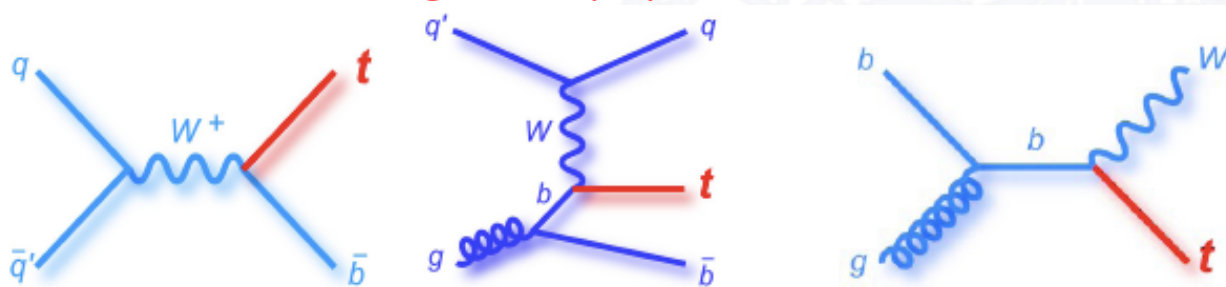
Tevatron	LHC
$p\bar{p}$ initial state \rightarrow CP eigenstate	pp initial state
centre-of-mass energy: 1.96 TeV	centre-of-mass energy: 7 (8) TeV
Initial state: qq (~85%), gg (~15%)	Initial state: qq (~25%), gg (~75%)



- Initial state for top-antitop pair-production** rather different between **Tevatron** and **LHC**:

Tevatron	LHC
$p\bar{p}$ initial state \rightarrow CP eigenstate	pp initial state
centre-of-mass energy: 1.96 TeV	centre-of-mass energy: 7 (8) TeV
Initial state: qq (~85%), gg (~15%)	Initial state: qq (~25%), gg (~75%)

- Dramatic differences for single top production:**



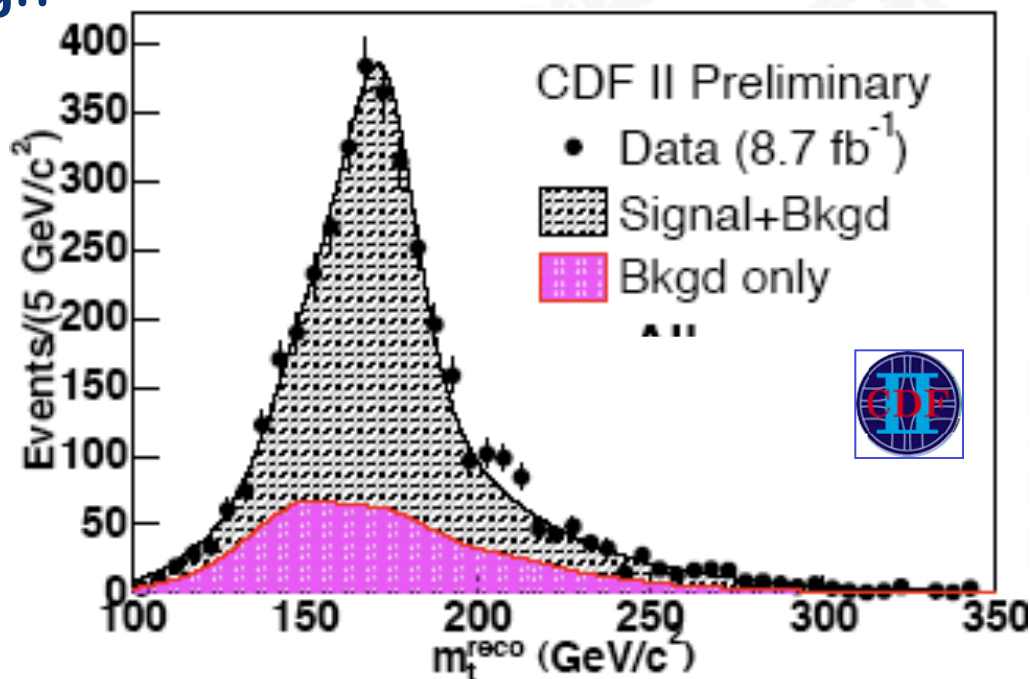
Collider	s-channel: σ_{tb}	t-channel: σ_{tqb}	Wt-channel: σ_{tW}
Tevatron: $p\bar{p}$ (1.96 TeV)	1.04 pb	2.26 pb	0.28 pb
LHC: pp (7 TeV)	4.6 pb	64.6 pb	15.7 pb

- **Top mass in dilepton final states with, D0 (5.4 fb^{-1})**
 - **Dilepton final states provide a clean signature**
 - Measure m_{top} in this clean experimental environment
 - Transfer the **in-situ JES calibration from l+jets channel**
 - Properly account for event topology, run period dependence, etc.
 - **Extract m_{top} using:**
 - **Neutrino-weighting technique**
 - **Matrix Element technique**
 - **Properly combine the two methods (60% statistical correlation) to maximise statistical sensitivity!**
 - **Final result:**

$$m_t = 173.9 \pm 1.9 \text{ (stat)} \pm 1.6 \text{ (syst)} \text{ GeV}$$

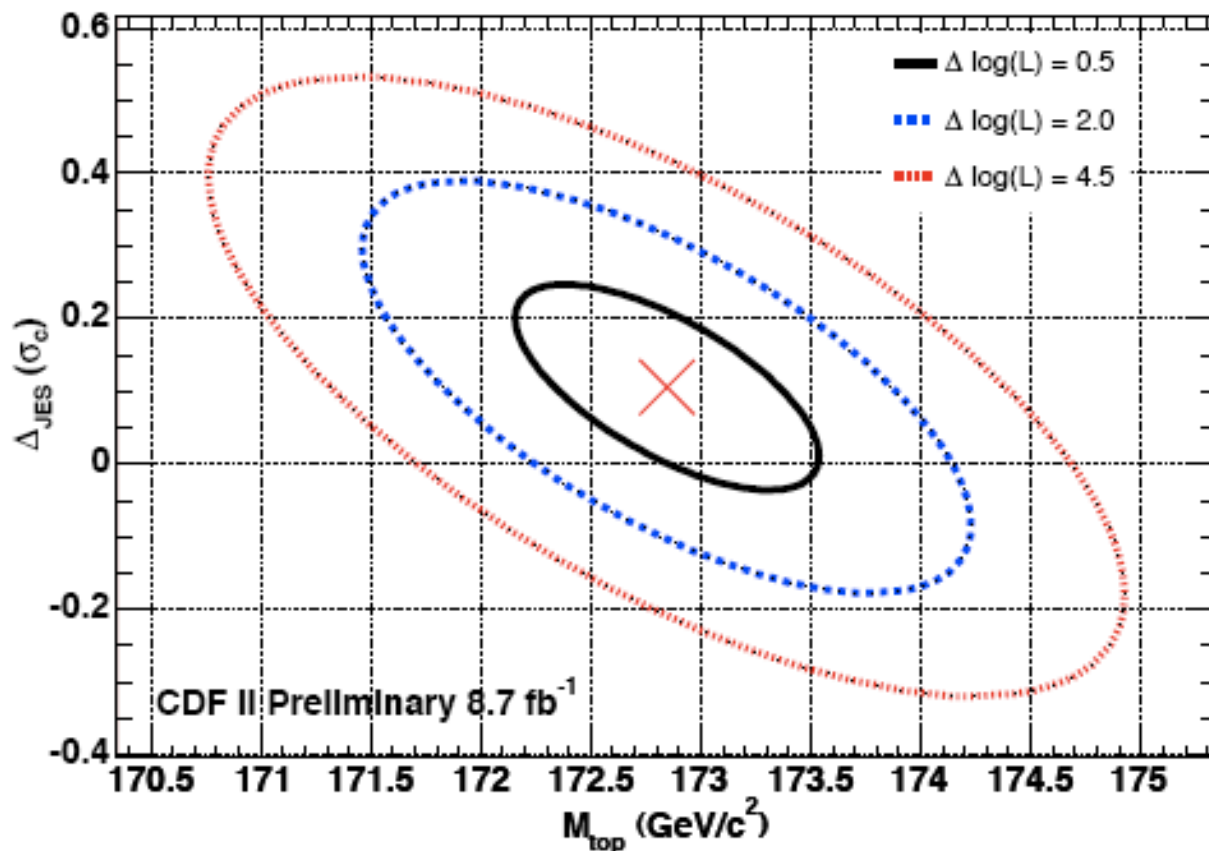
Most precise m_{top} measurement in ll final states @ Tevatron!

- **Template method in lepton+jets final states, CDF (8.7 fb⁻¹)**
 - Reconstruct the event kinematics by minimising a χ^2 -like quantity depending on e.g.:
 - matching between reconstructed and fitted momenta
 - W mass constraint for in-situ JES extraction
 - top quark mass constraint for m_{top} extraction
 - Consider jet-parton assignments consistent with b-tagging
 - **Form templates** from:
 - m_t^{reco} : best jet-parton assignment
 - $m_t^{\text{reco}(2)}$: second-best assignment
 - m_{jj}



Phys. Rev. Lett. **109**, 152003 (2012)

- Final result:**



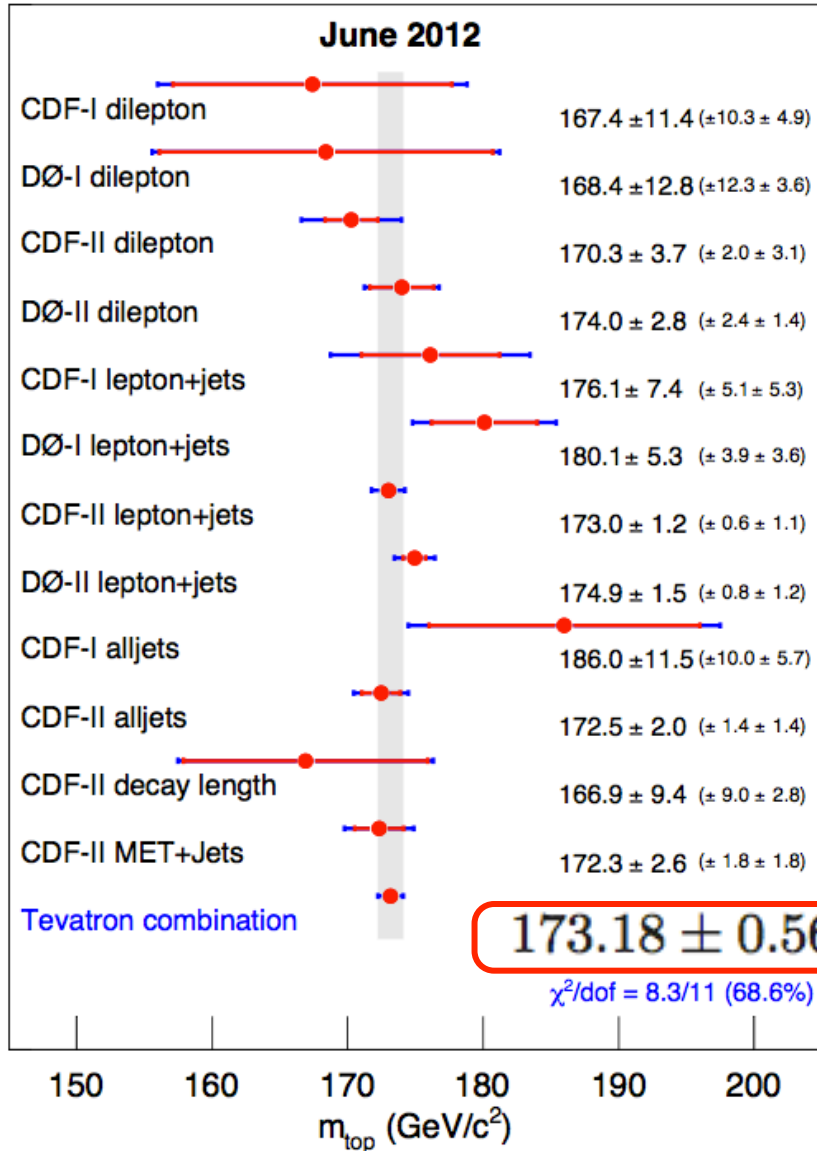
$$M_{\text{top}} = 172.85 \pm 0.71 \text{ (stat.)} \pm 0.84 \text{ (syst.) GeV}$$

Most precise m_{top} measurement @ Tevatron

Phys. Rev. Lett. **109**, 152003 (2012)

Mass of the Top Quark

Phys. Rev. D 86, 092003 (2012)



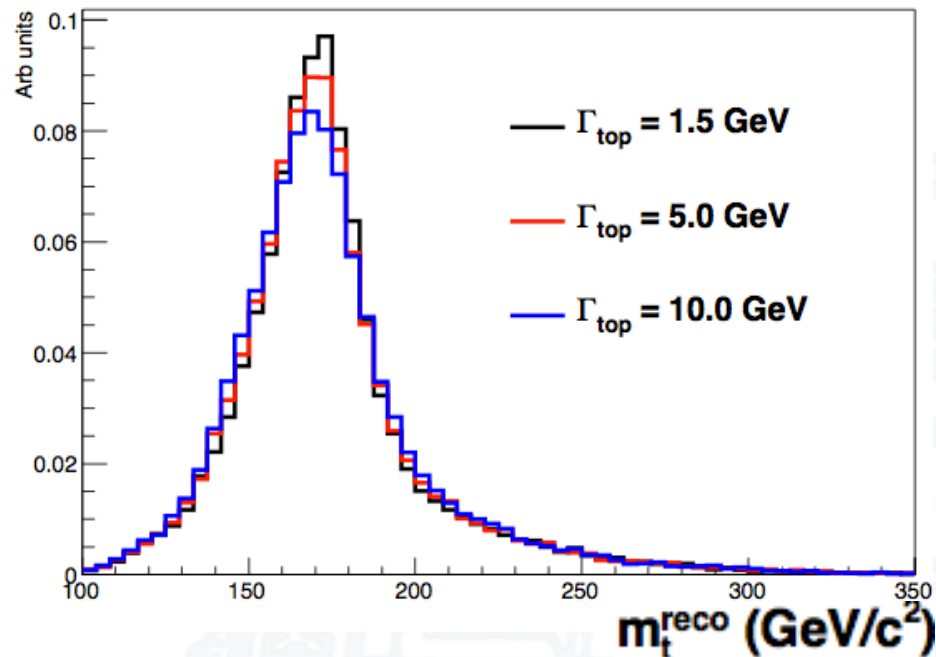
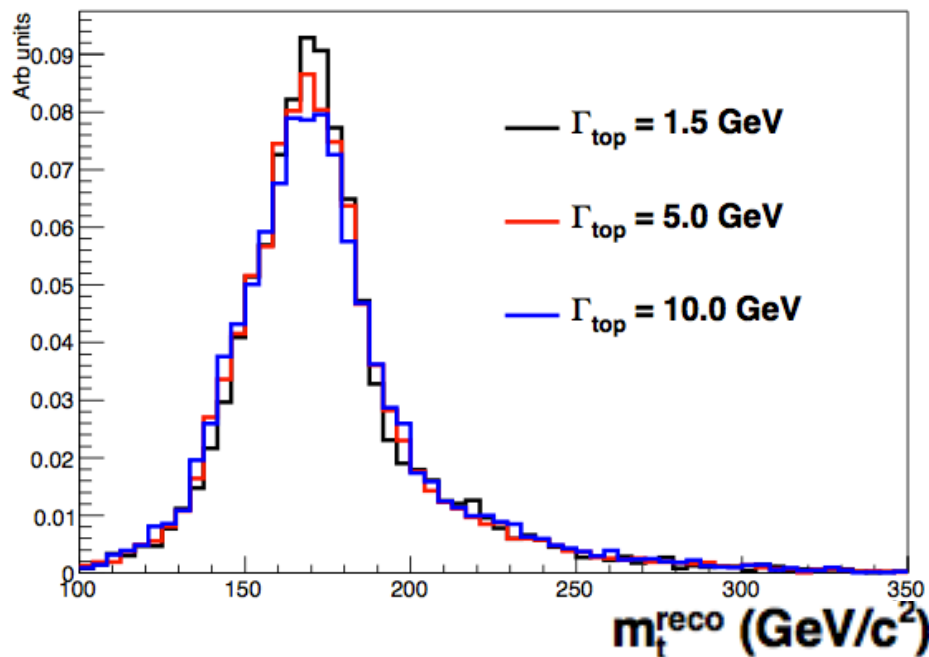
Dominant uncertainties:

- **In-situ JES calibration:**
 - **0.39 GeV, $\sim 1/\sqrt{N}$**
- **Residual JES calibration:**
 - **0.19 GeV, $\sim 1/\sqrt{N}$**
- **b quark jets energy scale:**
 - **0.12 GeV, $\sim \sqrt{\text{brain effort}}$**
- **Signal modeling:**
 - **0.51 GeV, $\sim \sqrt{\text{brain effort}}$**

World's most precise m_{top} measurement!

Relative uncertainty: 0.54%

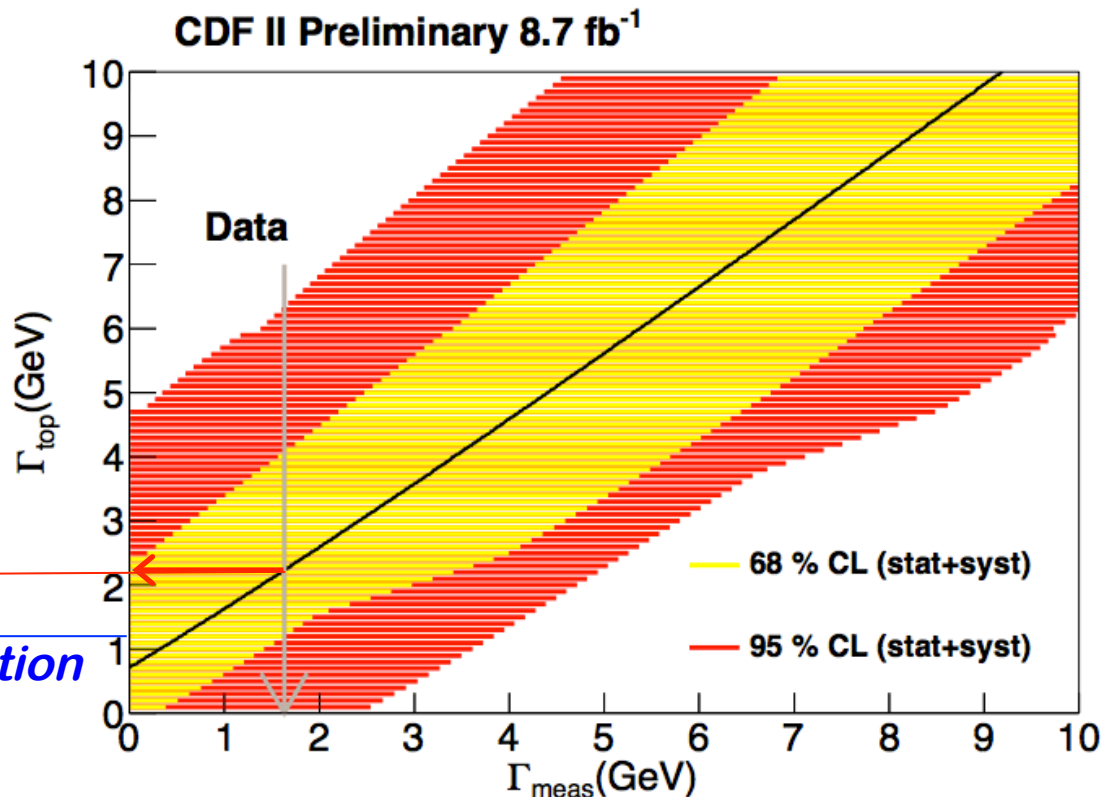
- **Direct measurement of Γ_{top} , CDF (8.7 fb⁻¹):**
 - **Ansatz:**
 - reconstructed distribution in m_{top} is sensitive to Γ_{top} :



- Use same χ^2 -based reconstruction as for m_{top}

CDF Note 10936

- Final result:



$$\Gamma_{\text{top}} = 2.21_{-0.92}^{+1.46}(\text{stat})_{-0.62}^{+1.12}(\text{syst})\text{GeV}$$

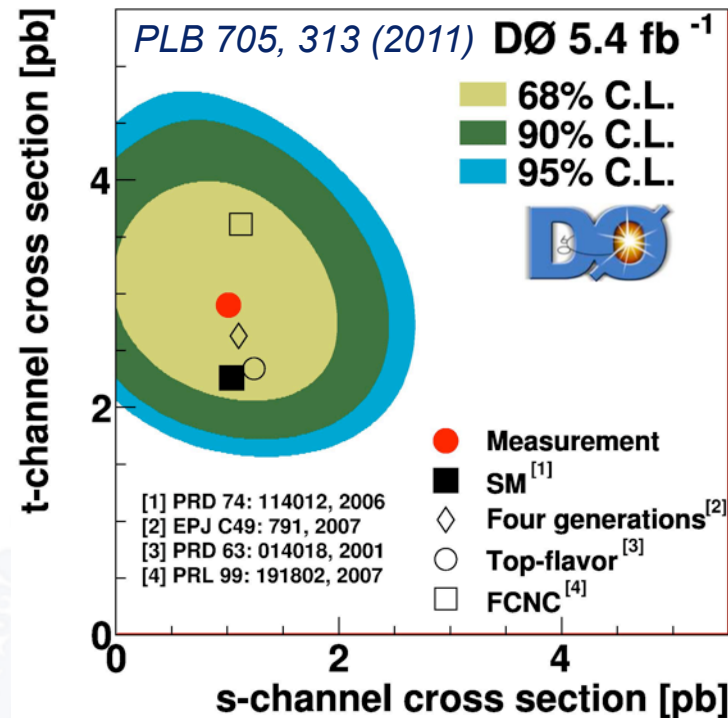
The only direct measurement of Γ_{top} to date

CDF Note 10936

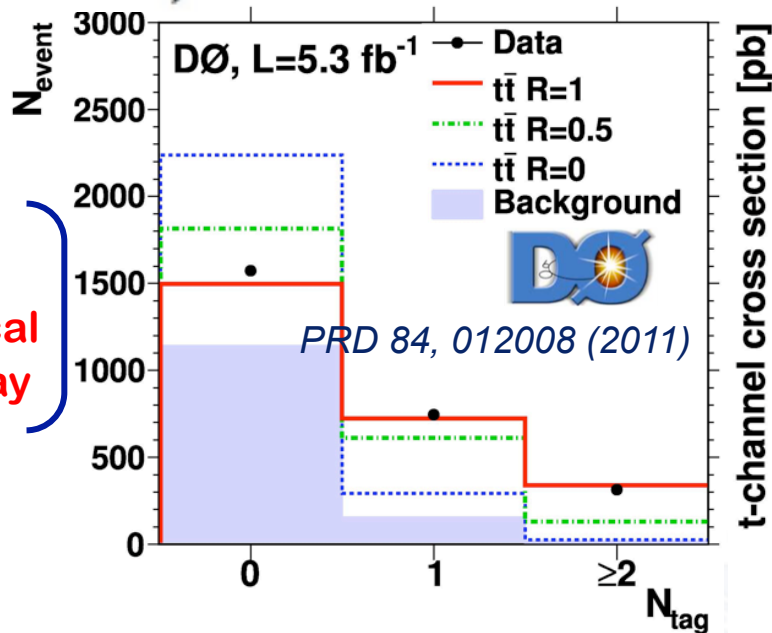
$$\Gamma_t = \frac{\Gamma(t \rightarrow Wb)}{\mathcal{B}(t \rightarrow Wb)} \longleftarrow \Gamma(t \rightarrow Wb) = \sigma(t\text{-channel}) \frac{\Gamma(t \rightarrow Wb)_{\text{SM}}}{\sigma(t\text{-channel})_{\text{SM}}}$$

Assume:

Wtb coupling identical
in production & decay

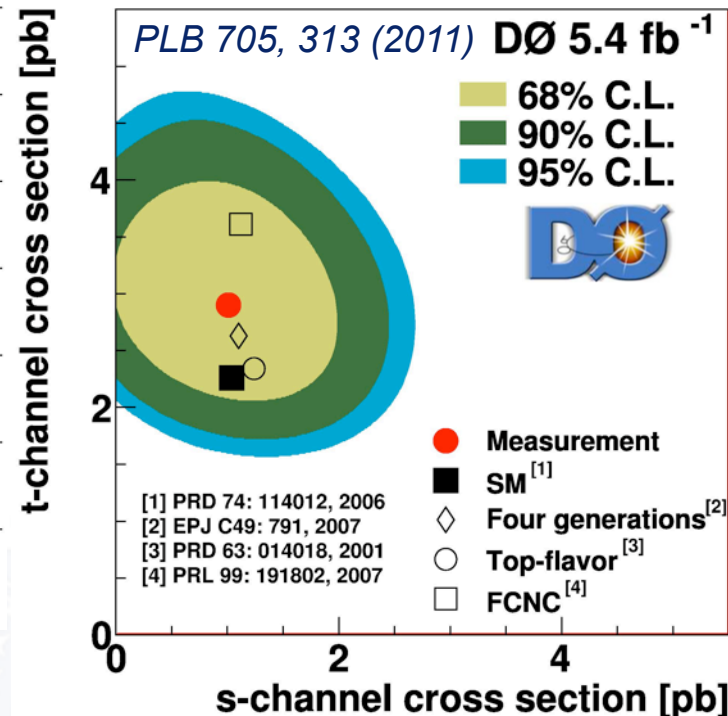


$$\Gamma_t = \frac{\Gamma(t \rightarrow Wb)}{\mathcal{B}(t \rightarrow Wb)} \longleftarrow \Gamma(t \rightarrow Wb) = \sigma(t\text{-channel}) \frac{\Gamma(t \rightarrow Wb)_{\text{SM}}}{\sigma(t\text{-channel})_{\text{SM}}} \longleftarrow \text{measured in } t\bar{t} \text{ events}$$



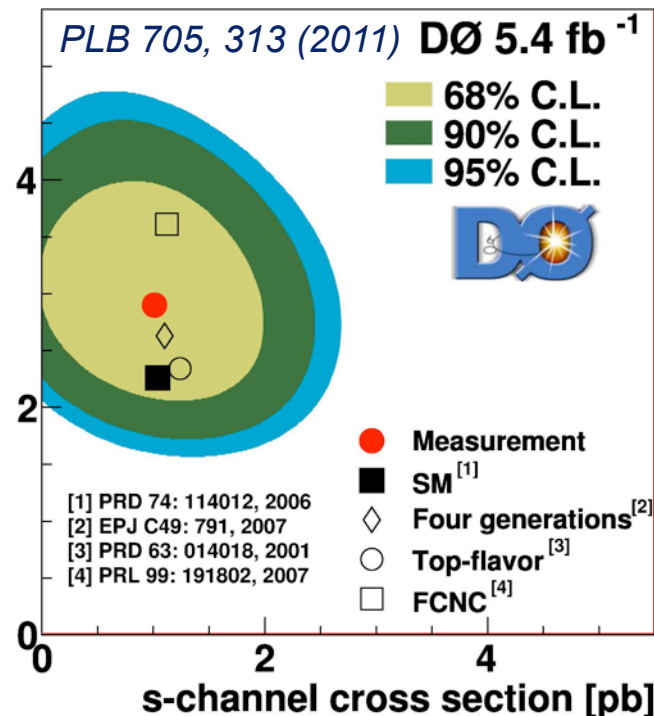
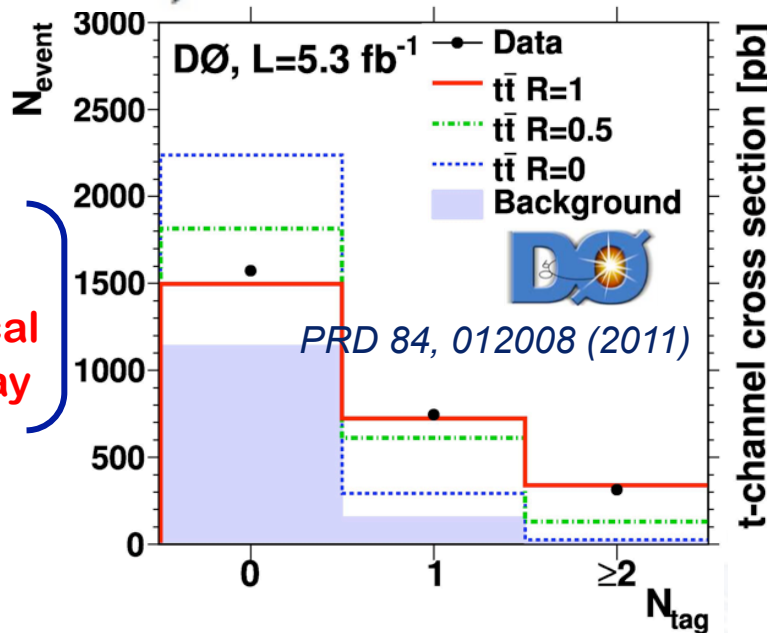
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\longleftarrow measured in $t\bar{t}$ events



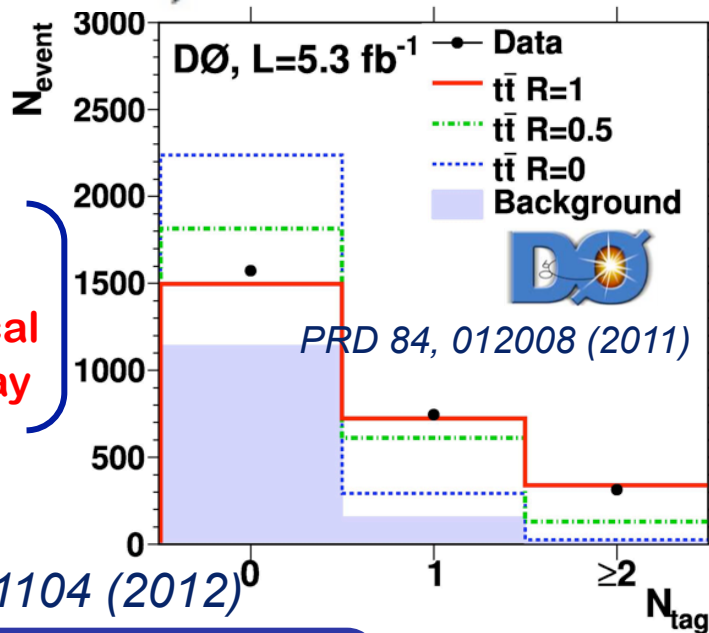
Assume:

Wtb coupling identical in production & decay

Properly correlate $\sigma(t\text{-channel})$, $\mathcal{B}(t \rightarrow Wb) \rightarrow$ measure Γ_t from LH based on t -channel discriminant

$$\Gamma_t = \frac{\Gamma(t \rightarrow Wb)}{\mathcal{B}(t \rightarrow Wb)} \longleftarrow \Gamma(t \rightarrow Wb) = \sigma(t\text{-channel}) \frac{\Gamma(t \rightarrow Wb)_{\text{SM}}}{\sigma(t\text{-channel})_{\text{SM}}}$$

\longleftarrow measured in $t\bar{t}$ events



Assume:

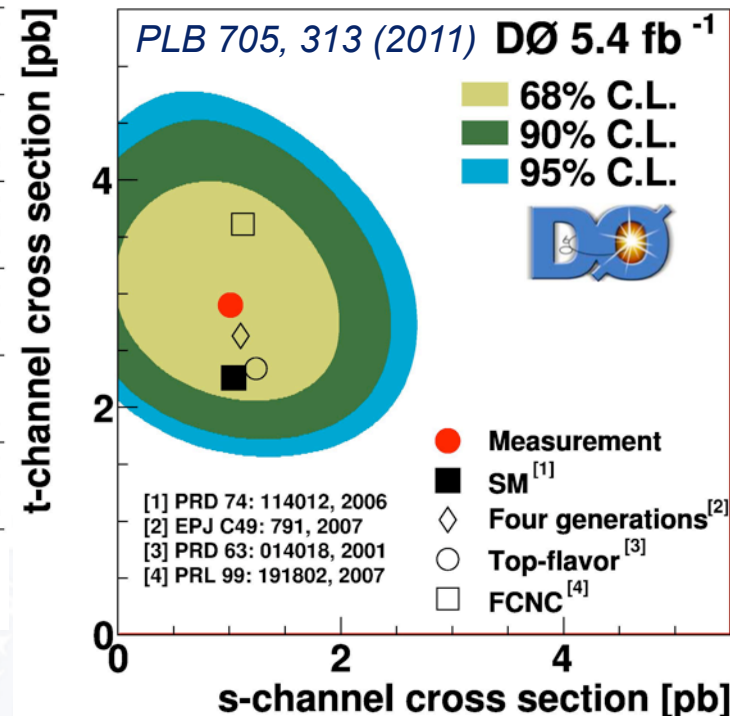
Wtb coupling identical in production & decay

Phys. Rev. D **85**, 091104 (2012)

World's most precise (indirect) determination of Γ_t to date

$$\Gamma_t = 2.00^{+0.47}_{-0.43} \text{ GeV}$$

$$\tau_t = (3.29^{+0.90}_{-0.63}) \times 10^{-25} \text{ s}$$



Properly correlate $\sigma(t\text{-channel})$, $\mathcal{B}(t \rightarrow Wb) \rightarrow$ measure Γ_t from LH based on t -channel discriminant

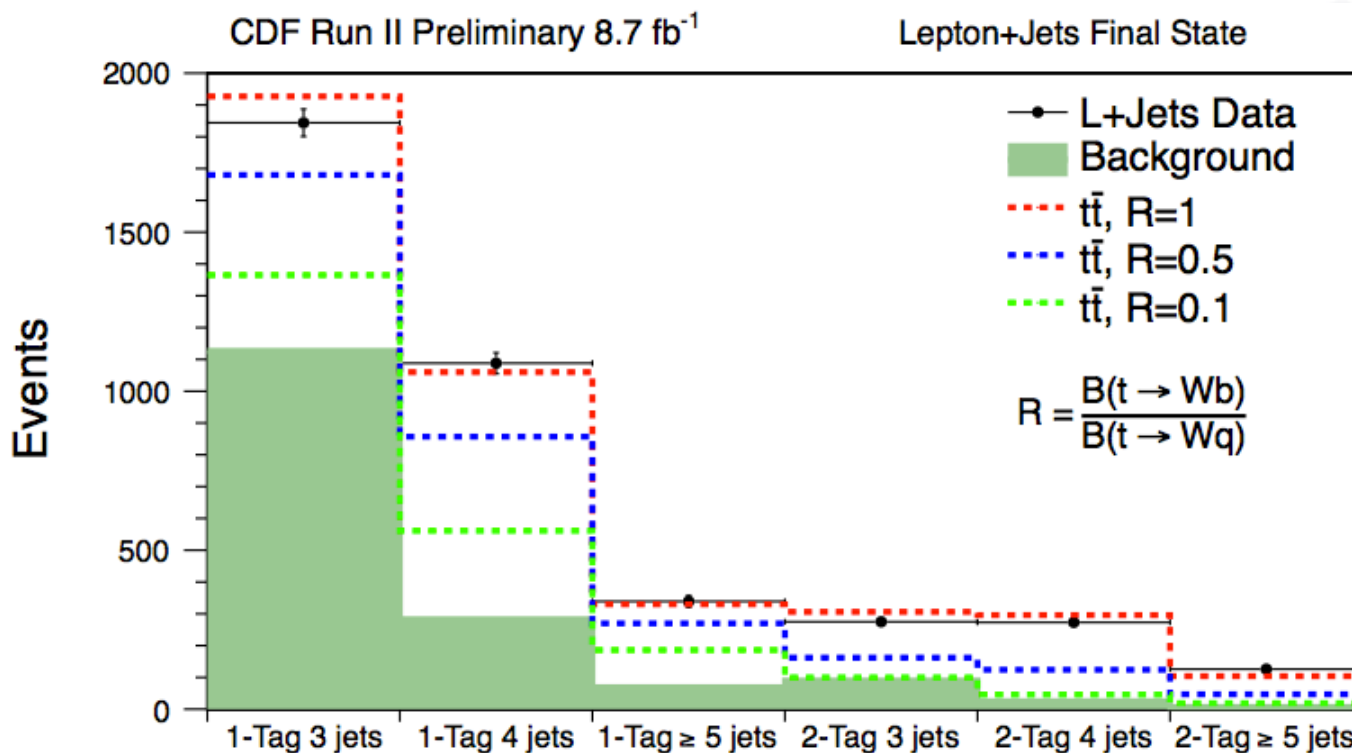
- Measurement of R -Ratio in $l+jets$, CDF (8.7fb^{-1})

- Definition R -Ratio:

$$R = \frac{\mathcal{B}(t \rightarrow Wb)}{\mathcal{B}(t \rightarrow Wq)} = \frac{|V_{tb}|^2}{|V_{tb}|^2 + |V_{ts}|^2 + |V_{td}|^2}$$

- Ansatz:

- Use relative yields in different b -tagging bins



$$R = BR(t \rightarrow Wb) / BR(t \rightarrow Wq)$$

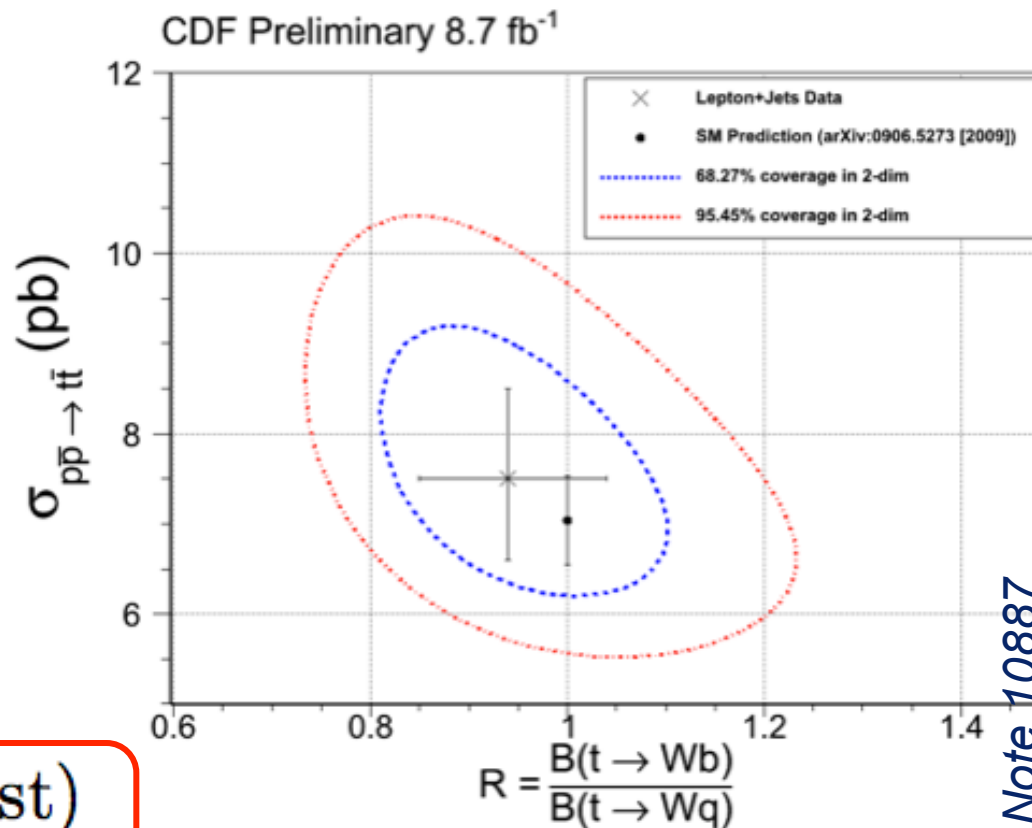
- Relative changes in b-tagging bins also affect the **total $t\bar{t}$ cross section**:
 - **simultaneously fit R -ratio and $t\bar{t}$ cross section!**
 - Take systematic uncertainties into account via nuisance parameters in the final LH fit

- Final result:**

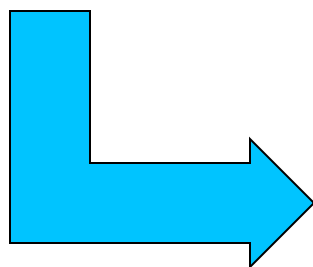
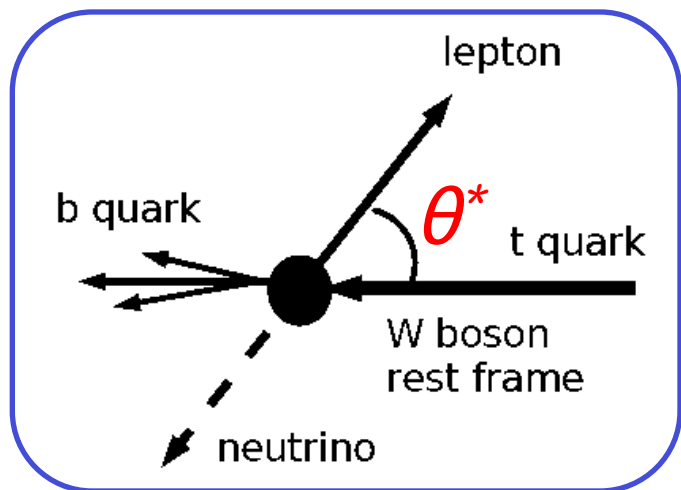
$$R = 0.94 \pm 0.1 (\text{stat} + \text{syst})$$

$$\sigma_{t\bar{t}} = 7.5 \pm 0.95 \text{ pb.}$$

$$|V_{tb}| > 0.89 \text{ at } 95\% \text{ C.L.}$$



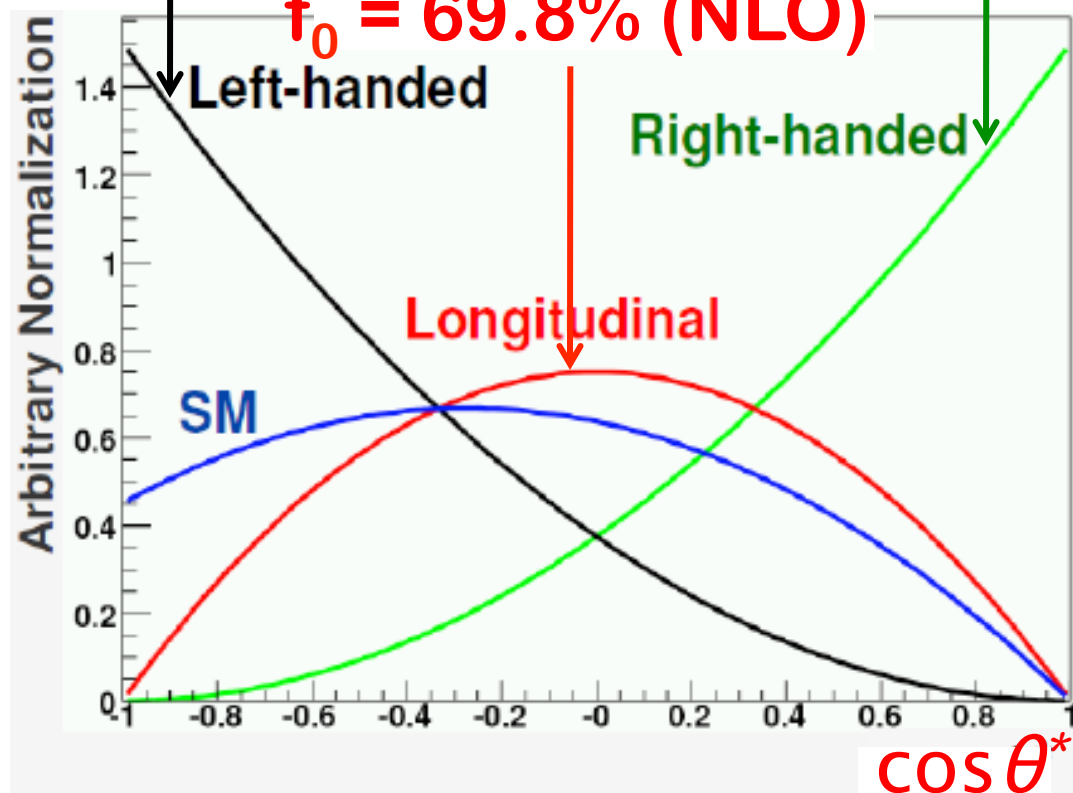
- Study the **V-A nature** of the **Wtb coupling**
 - Deviations from SM would indicate new physics



$f_- = 30.1\%$ (NLO)

$f_+ = 0.04\%$ (NLO)

$f_0 = 69.8\%$ (NLO)



- **W helicity measurement in l+jets, CDF (8.7 fb⁻¹):**
 - Use the **matrix element** technique
 - Include not only the $\cos\theta^*$ of the leptonic W decays, but **also in the hadronic decays** despite the sign ambiguity!
 - Extract the polarisation fractions by maximising the LH:

$$L(f_0, f_+, C_s) = \prod_{i=1}^N \left[C_s \frac{P_s(x; f_0, f_+)}{\langle A_s(x; f_0, f_+) \rangle} + (1 - C_s) \frac{P_b(x)}{\langle A_b(x) \rangle} \right].$$

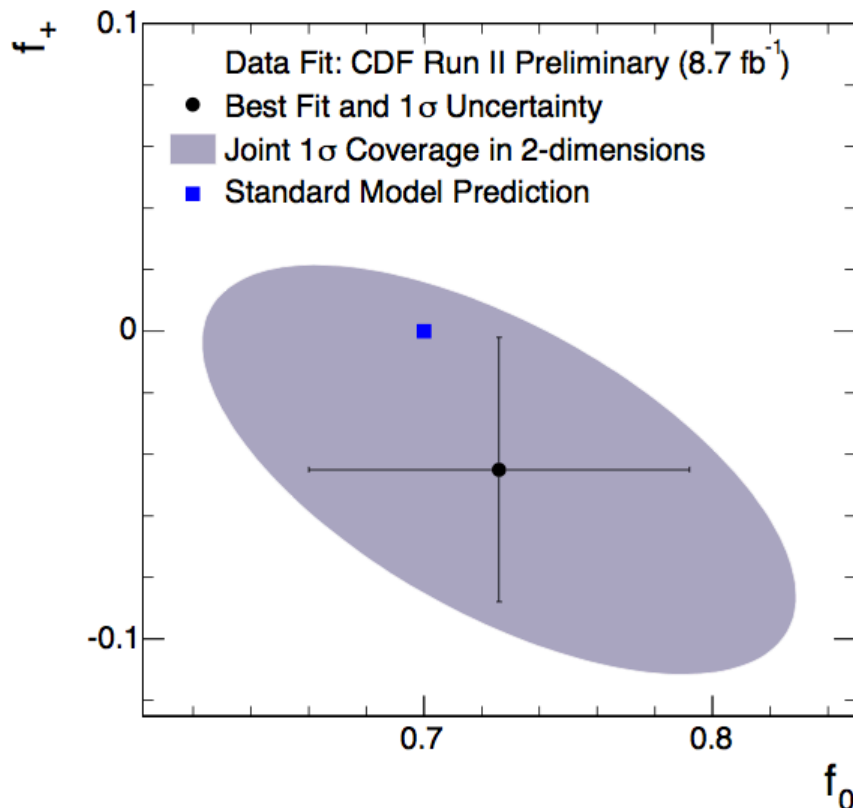
- The clue:
 - Use the **LO matrix-element**

$$|M|^2 = \frac{g_s^4}{9} F_\ell \bar{F}_h (2 - \beta^2 \sin^2 \theta_{qt})$$

- to express P_{sig}
- to introduce the dependence on the W boson polarisation!

$$F_\ell = \frac{2\pi g_W^4 m_{\bar{\ell}\nu}^2}{3m_t \Gamma_t} (2E_b^{*2} + 3E_b^* m_{\bar{\ell}\nu} + m_b^2) \left(\frac{3}{8} (1 + \cos\theta^*)^2 f_+ + \frac{3}{4} (1 - \cos^2\theta^*) f_0 + \frac{3}{8} (1 - \cos\theta^*)^2 (1 - f_0 - f_+) \right).$$

- Final result:**



$$f_0 = 0.726 \pm 0.066(\text{stat}) \pm 0.067(\text{syst})$$

$$f_+ = -0.045 \pm 0.043(\text{stat}) \pm 0.058(\text{syst})$$

- Most general, lowest-dim, CP -conserving Wtb vertex

$$\mathcal{L} = \frac{g}{\sqrt{2}} \bar{b} \gamma^\mu V_{tb} (f_V^L P_L + \underline{f_V^R} P_R) t W_\mu^- - \frac{g}{\sqrt{2}} \bar{b} \frac{i\sigma^{\mu\nu} q_\nu V_{tb}}{M_W} (\underline{f_T^L} P_L + \underline{f_T^R} P_R) t W_\mu^- + h.c.$$

Underlined
couplings
are 0 in SM!

- **Most general, lowest-dim, *CP*-conserving *Wtb* vertex**

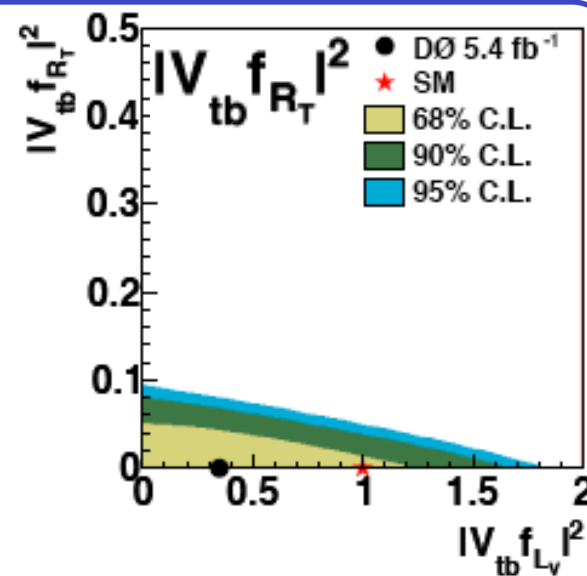
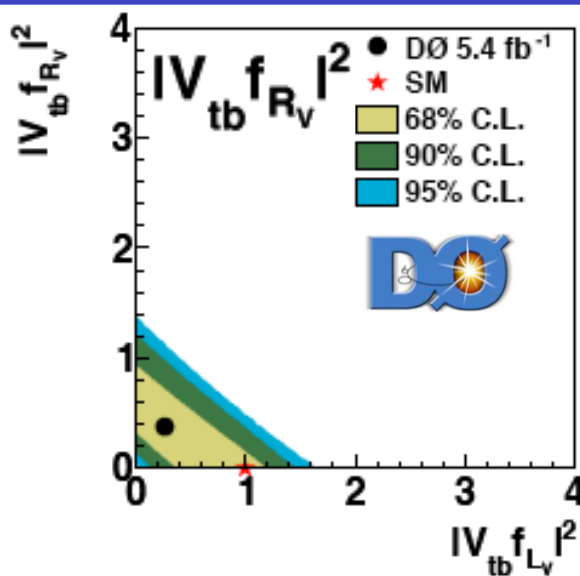
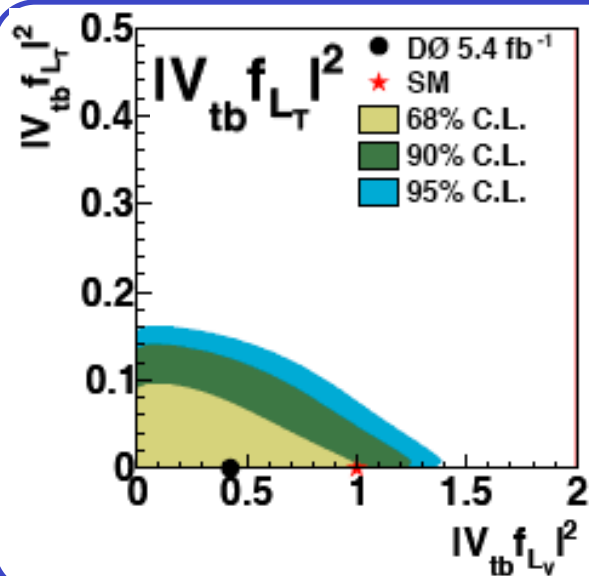
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**Underlined
couplings
are 0 in SM!**

- **Extract *Wtb* AC from **single top** production using:**
 - **shapes** of kinematic distributions
 - **event rate** (overall, *s*-channel vs *t*-channel)
- **Few assumptions:**
 - **Single top quarks produced exclusively via a *W* boson**
 - $|V_{td}|^2 + |V_{ts}|^2 \ll |V_{tb}|^2$

- **Obtained limits:**

Limits on Wtb AC from single top production



Phys. Lett. B 703, 21 (2012)

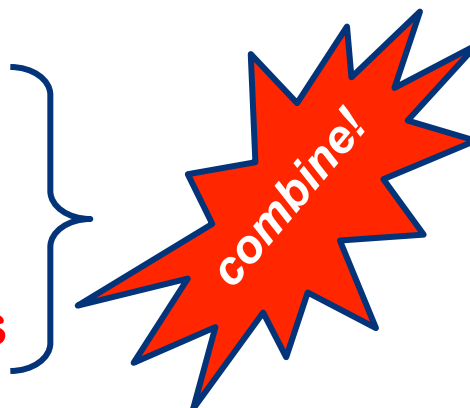
- **Wtb AC will alter:**
 - **single top** production
(see previous slides)
 - **fractions** of W bosons
in the **3 helicity states**



Phys. Lett. B 713, 165 (2012)

- ***Wtb* AC will alter:**

- **single top** production
(see previous slides)
- **fractions** of *W* bosons
in the **3 helicity states**



- **Assume:**

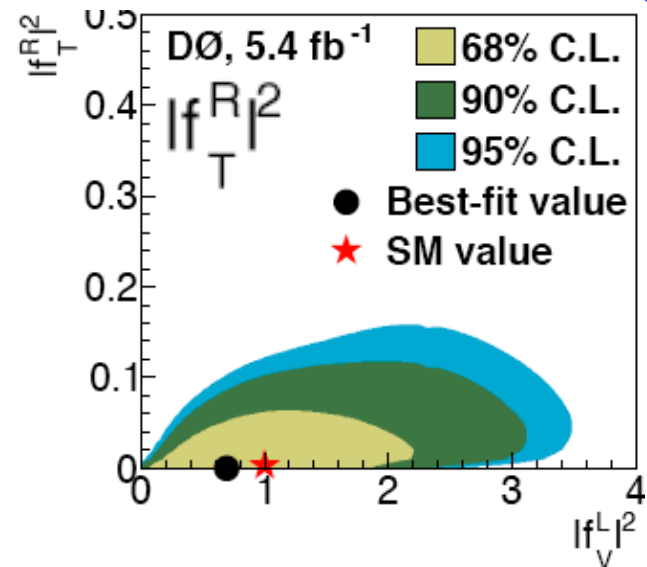
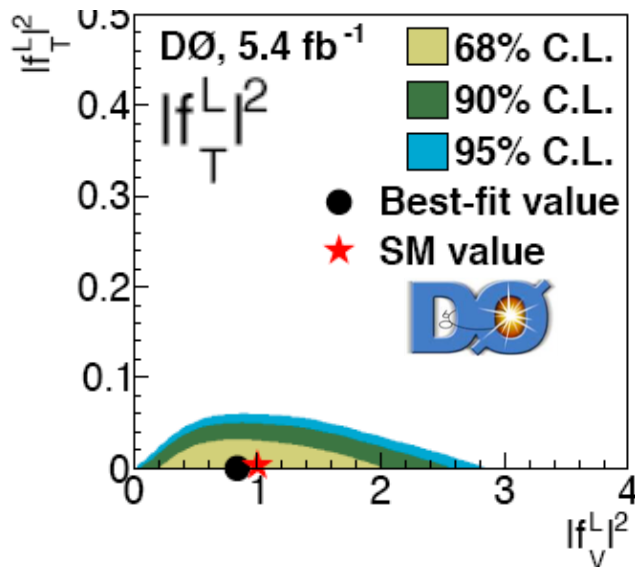
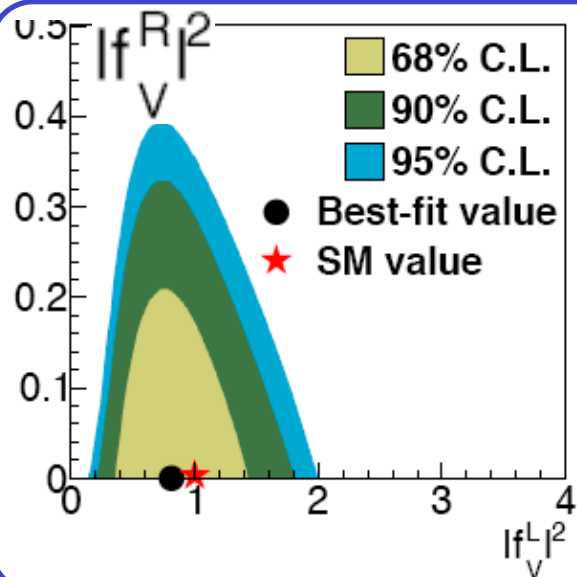
- Single top production through
Wtb vertex exclusively
- $|V_{td}|^2 + |V_{ts}|^2 \ll |V_{tb}|^2$

- Use the **LH from *W* helicity** meas't as **prior for single top**

- Compute LH over all possible analysis channels
- Remove overlap between selections

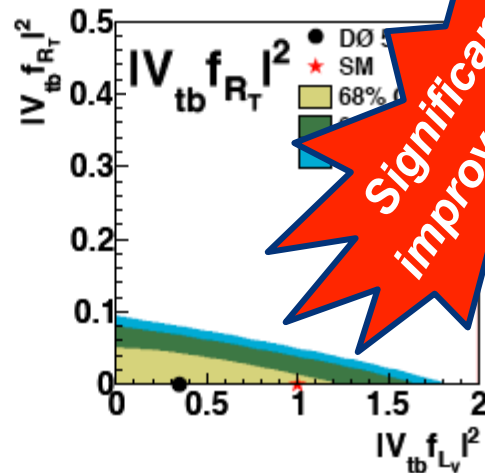
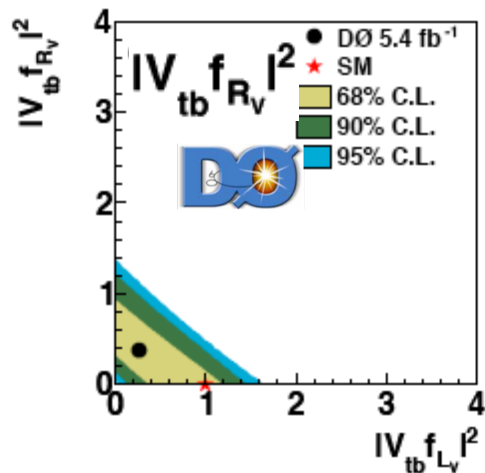
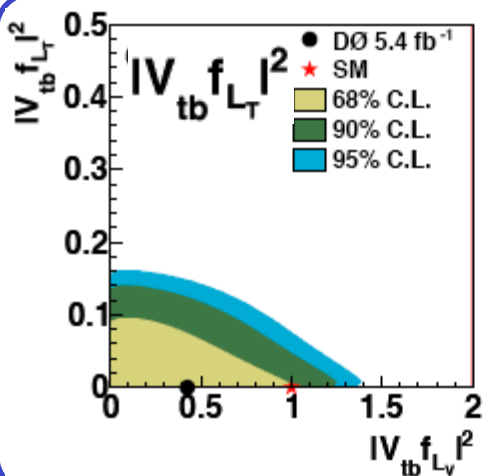
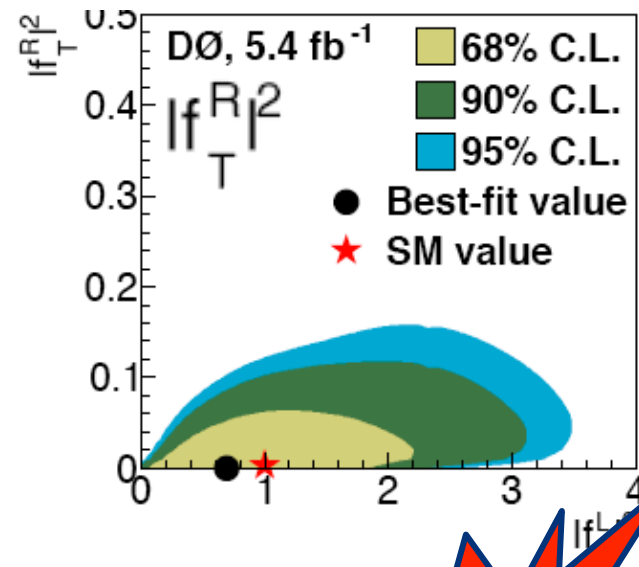
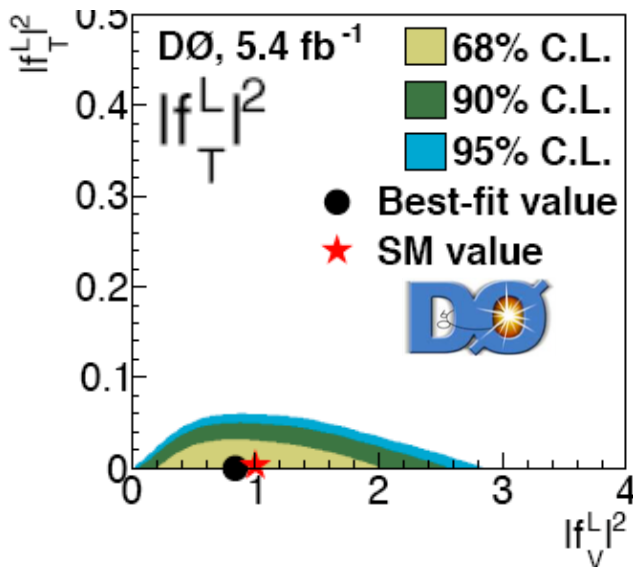
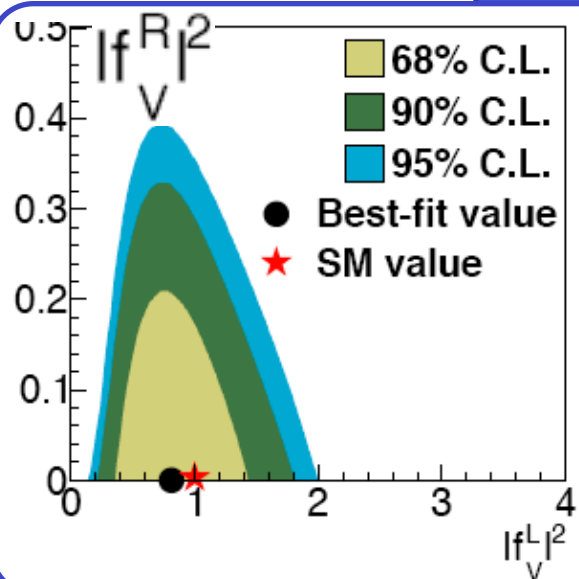
Phys. Lett. B 713, 165 (2012)

Combination of single top + W helicity



Phys. Lett. B 713, 165 (2012)

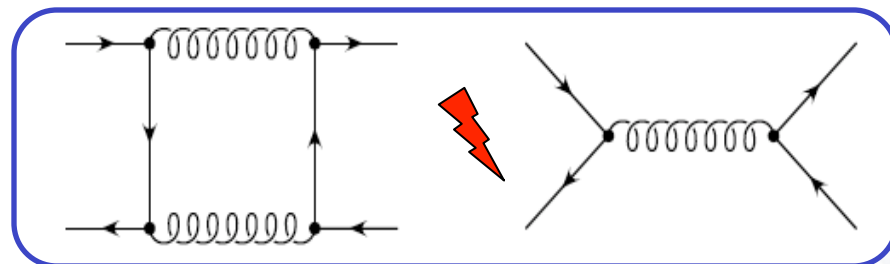
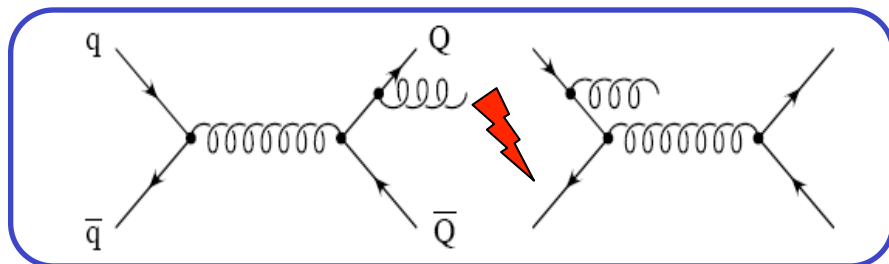
Combination of single top + W helicity



Significant improvement!

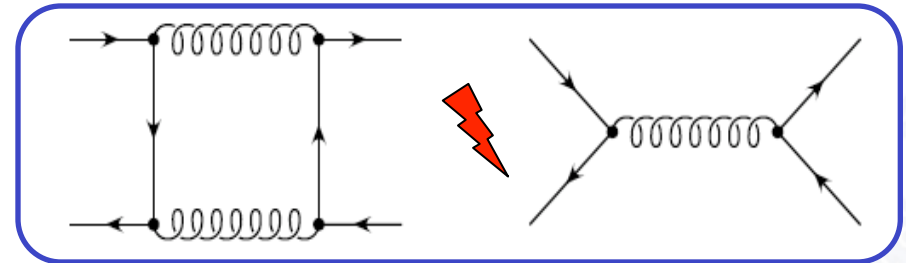
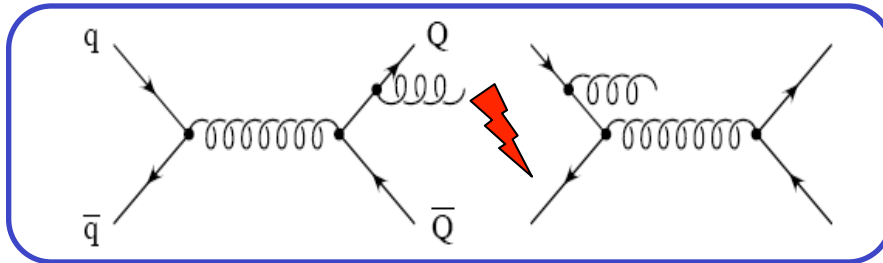
single top production **ONLY**

- Theoretical predictions (**Tevatron-specific!**):
 - At LO, completely symmetric
 - At higher orders, interference terms influence t and $t\bar{b}$ production asymmetrically, e.g.:



Colour charge asymmetry @ CDF → cf. talk by J. Wilson

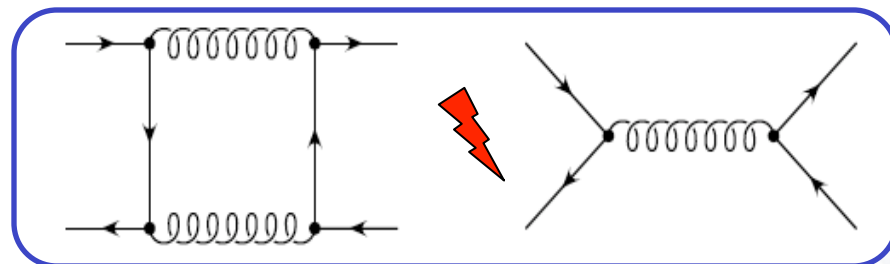
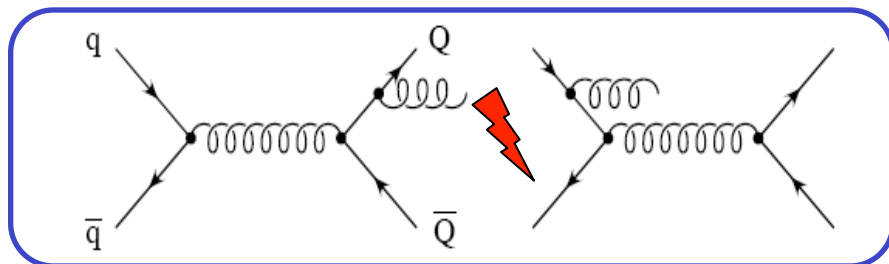
- Theoretical predictions (**Tevatron-specific!**):
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- New physics contributions to enhance asymmetry?
 - Massive axial vector gluons
 - Massive vector gluons
 - Z' , W'
 - Technicolour
 - ?

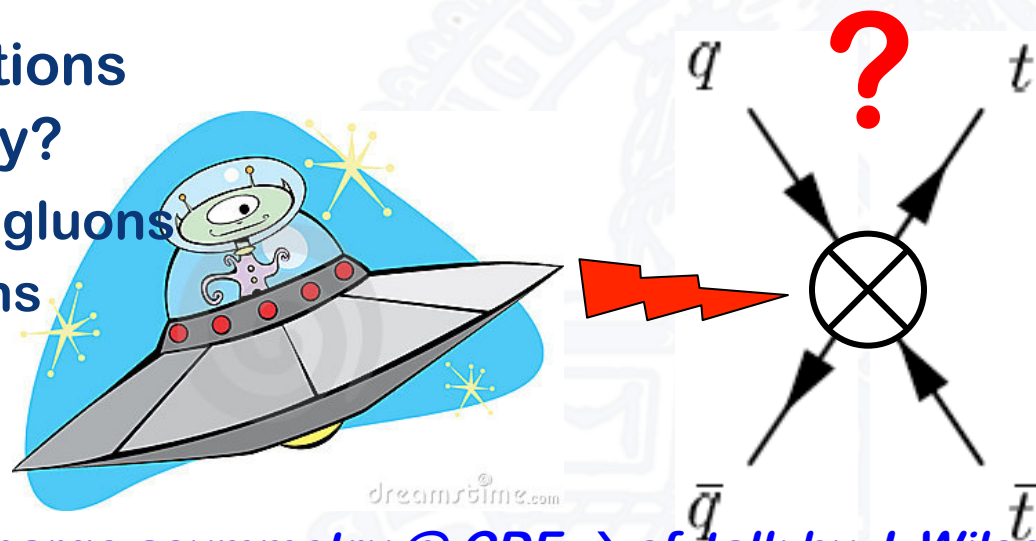
Colour charge asymmetry @ CDF \rightarrow cf. talk by J. Wilson

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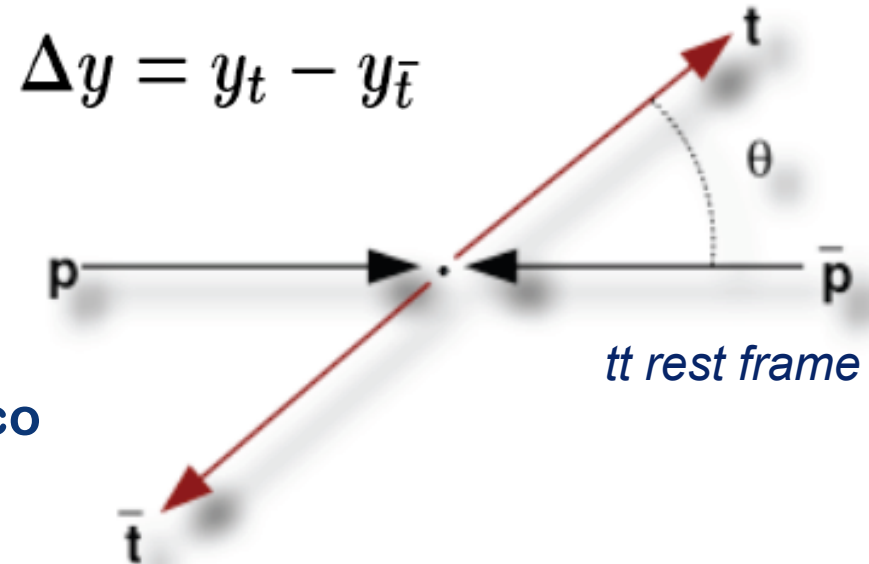


Colour charge asymmetry @ CDF → cf. talk by J. Wilson

- **Form observable:**

$$A_{fb} = \frac{N^{\Delta y > 0} - N^{\Delta y < 0}}{N^{\Delta y > 0} + N^{\Delta y < 0}}$$

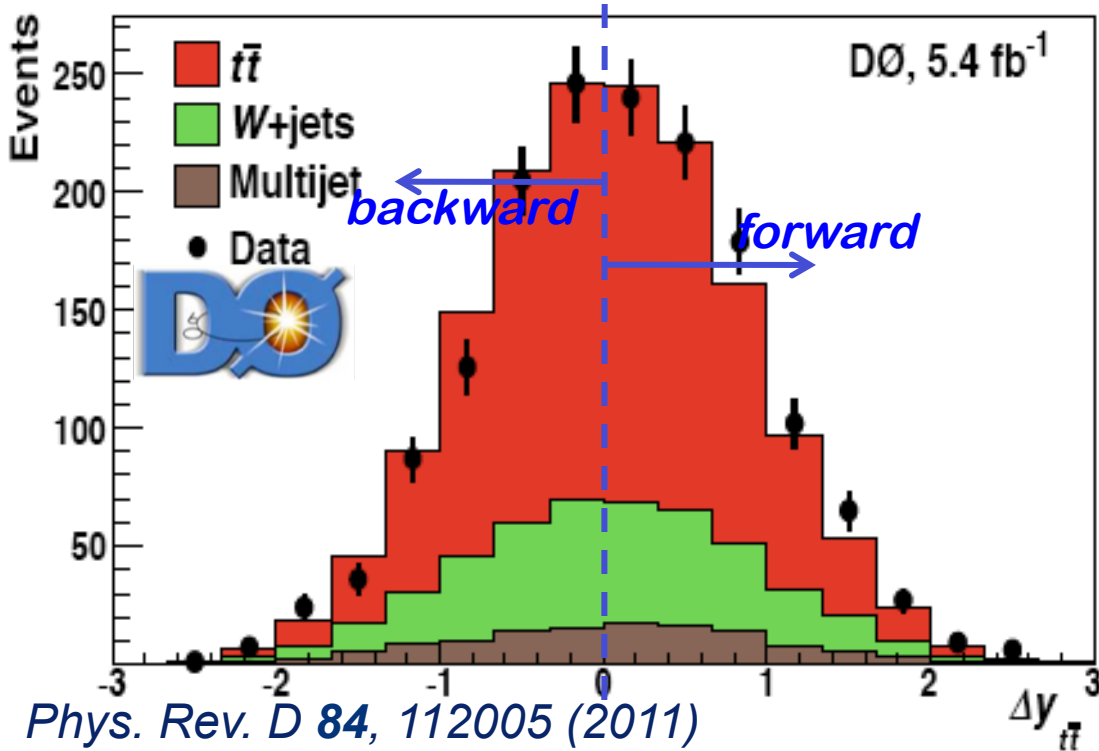
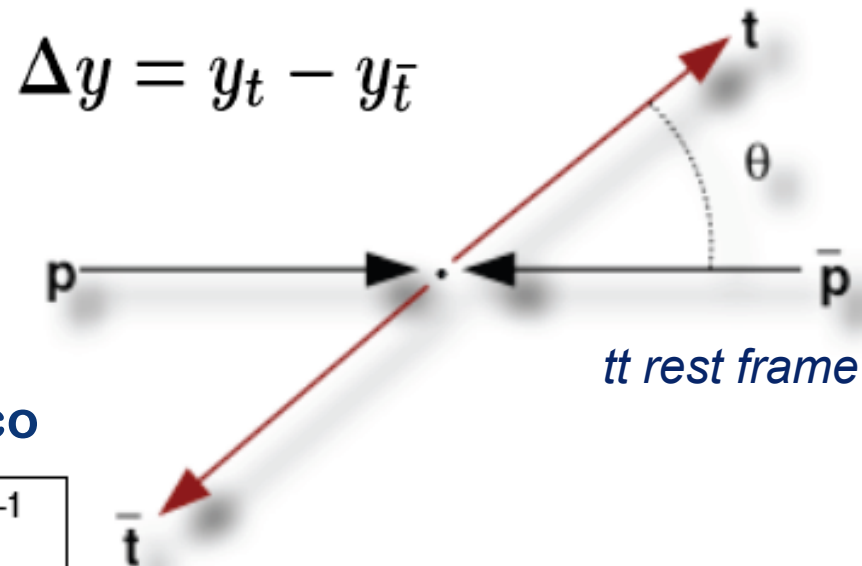
- Use b-tagged events
- Use kinematic fitter for reco



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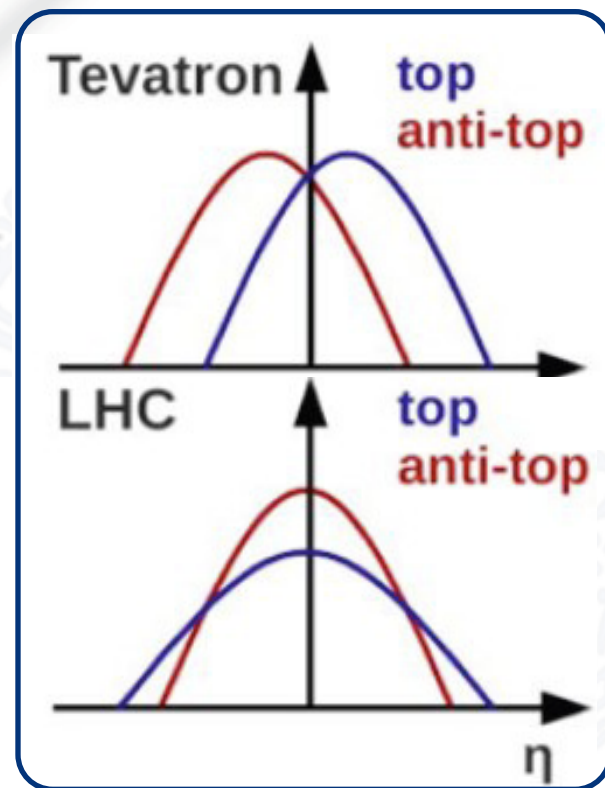
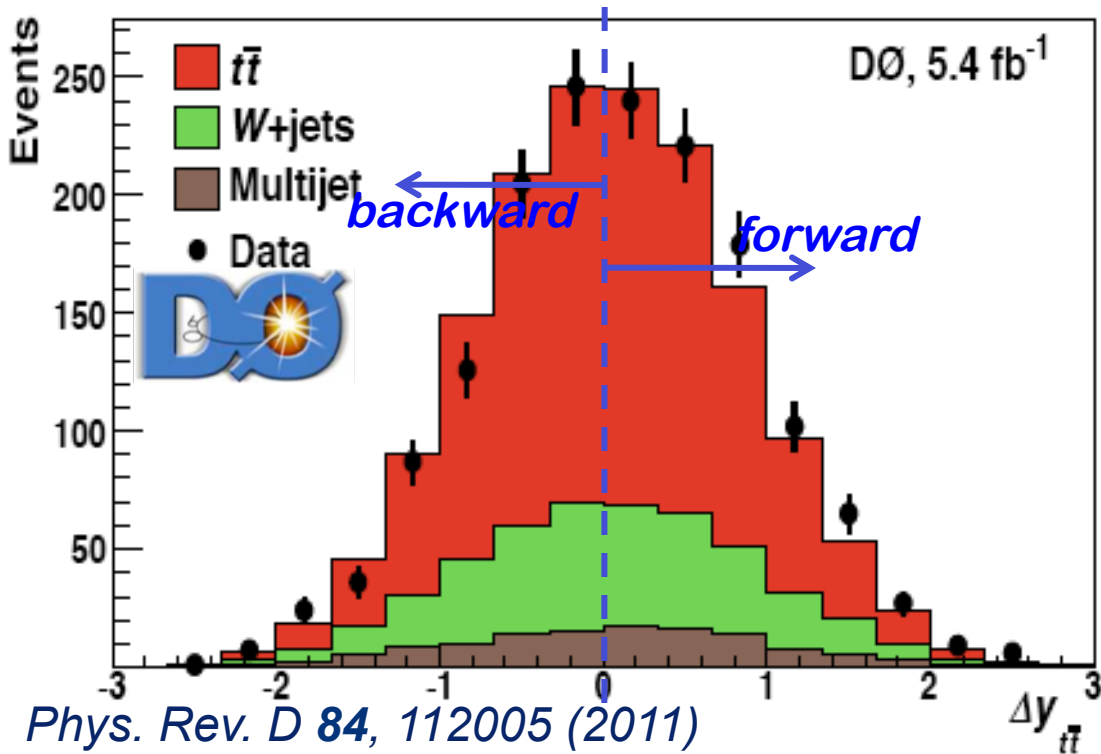
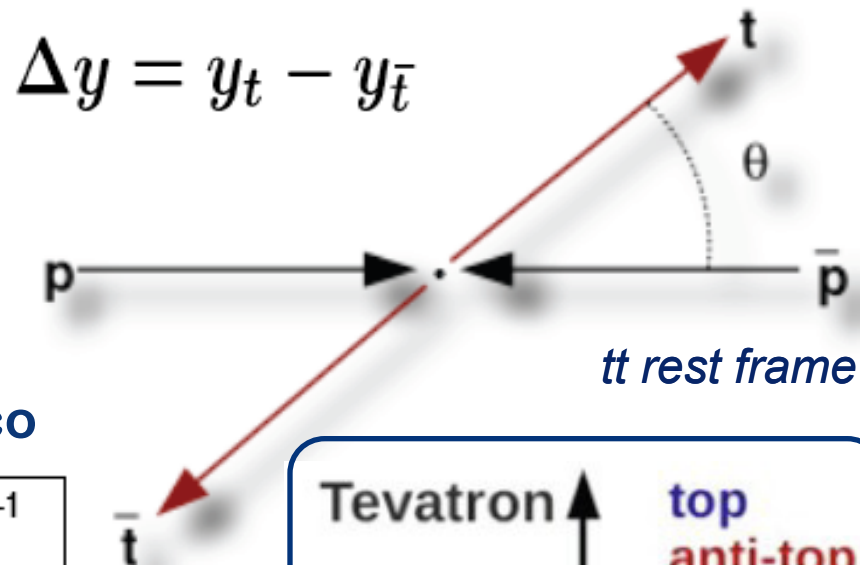
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- Form observable:

$$A_{fb} = \frac{N^{\Delta y > 0} - N^{\Delta y < 0}}{N^{\Delta y > 0} + N^{\Delta y < 0}}$$

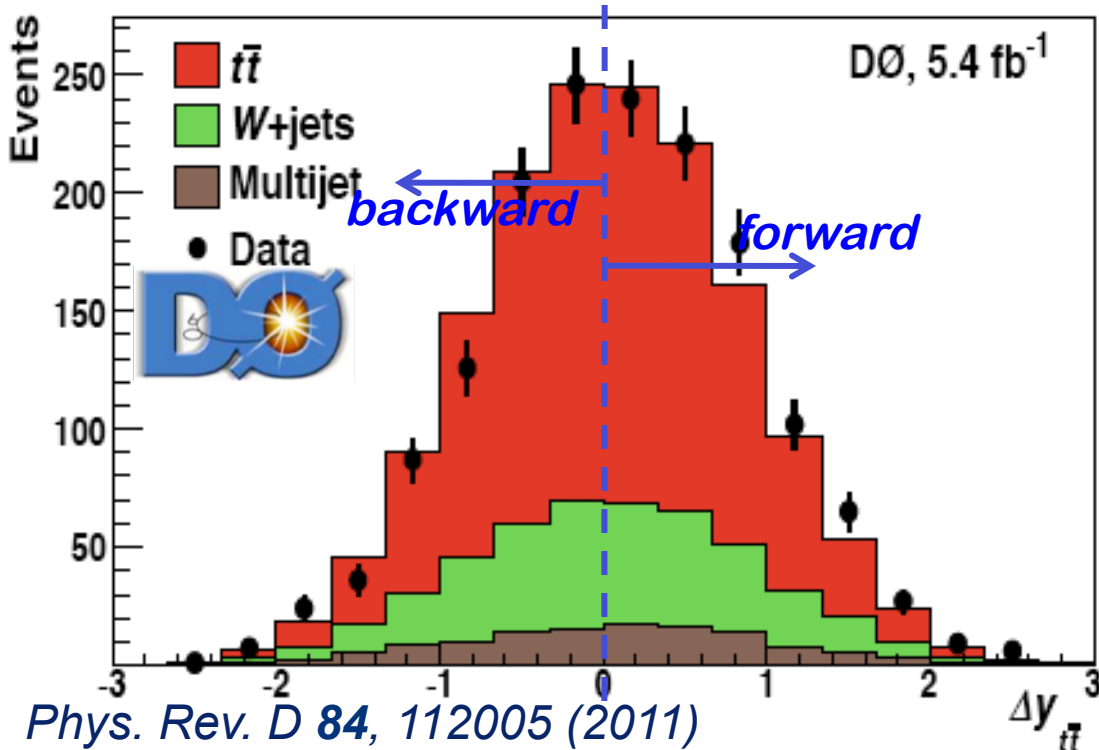
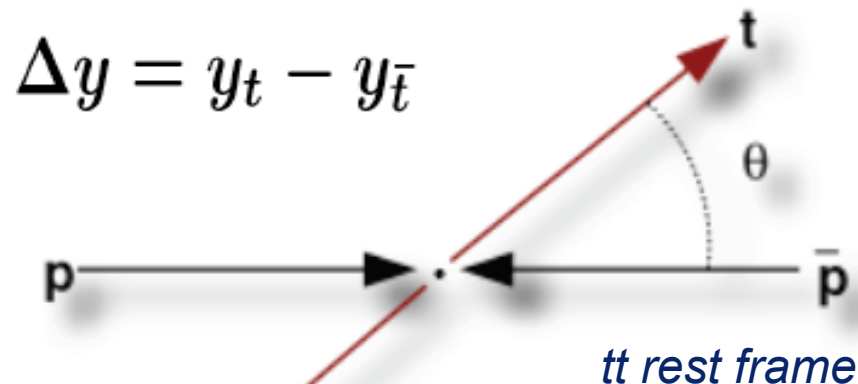
- Use b-tagged events
- Use kinematic fitter for reco



- Form observable:

$$A_{fb} = \frac{N^{\Delta y > 0} - N^{\Delta y < 0}}{N^{\Delta y > 0} + N^{\Delta y < 0}}$$

- Use b-tagged events
- Use kinematic fitter for reco



Raw result (not unfolded),
after background subtraction:
 $A_{FB} = 9.2 \pm 3.7 \%$

MC@NLO prediction:
 2.4 ± 0.7

- **Asymmetry would be enhanced:**
 - For high $m_{t\bar{t}}$ for an s -channel resonance
 - For high $|\Delta y|$ for a t -channel anomaly

Subsample	A_{FB} (%)	
	Data	MC@NLO
$m_{t\bar{t}} < 450$ GeV	7.8 ± 4.8	1.3 ± 0.6
$m_{t\bar{t}} > 450$ GeV	11.5 ± 6.0	4.3 ± 1.3
$ \Delta y < 1.0$	6.1 ± 4.1	1.4 ± 0.6
$ \Delta y > 1.0$	21.3 ± 9.7	6.3 ± 1.6

Phys. Rev. D **84**, 112005 (2011)

- Typically, A_{FB} at generator level will be diluted at reconstruction level due to
 - Limited detector acceptance
 - Limited resolution on Δy (≈ 0.7)
- \rightarrow Unfold Δy to generator level
 - Bin migrations particularly relevant close to $\Delta y = 0$
 - Use sufficiently fine binned, regularised unfolding
 - Correct for possible biases with ensemble tests
 - (Cross-check with coarse-binned unfolding consistent)

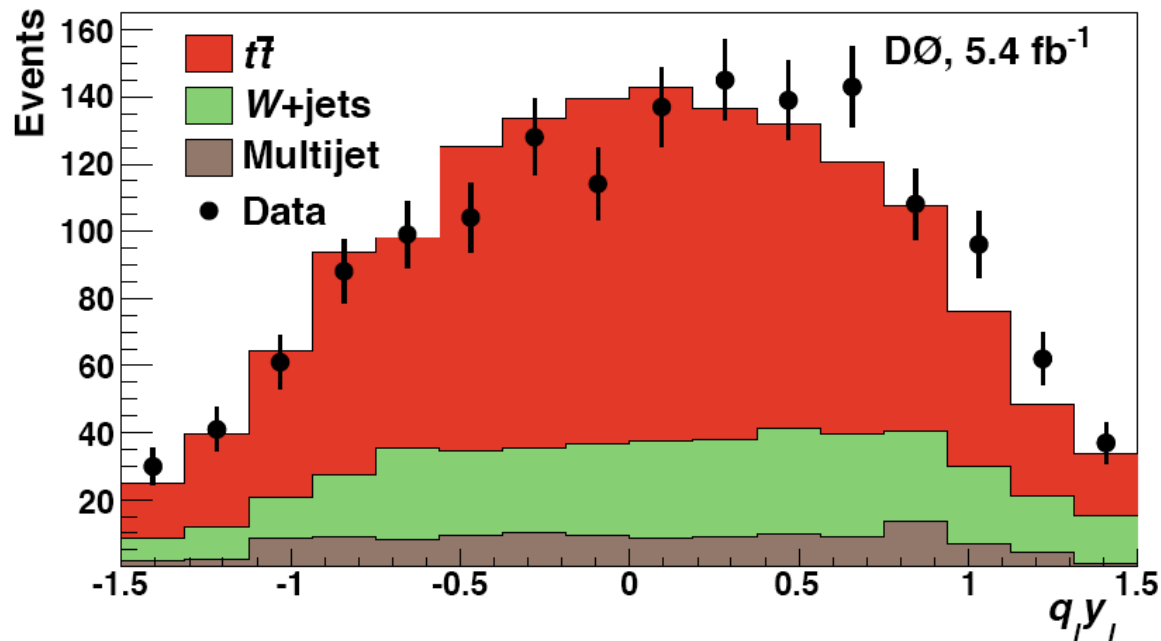
	A_{FB} (%)	
	Reconstruction level	Production level
Data	9.2 ± 3.7	19.6 ± 6.5
MC@NLO	2.4 ± 0.7	5.0 ± 0.1

Phys. Rev. D **84**, 112005 (2011)

- **Migrations** around $\Delta y=0$ are **tiny** if **lepton-based** observables are used
 - \rightarrow define forward, backward events via $q_{l y_l} < 0, q_{l y_l} > 0$



- **Migrations** around $\Delta y=0$ are **tiny** if **lepton-based** observables are used
 - \rightarrow define forward, backward events via $q_{\ell} y_{\ell} < 0, q_{\ell} y_{\ell} > 0$



	A_{FB}^l (%)	
	Reconstruction level	Production level
Data	14.2 ± 3.8	15.2 ± 4.0
MC@NLO	0.8 ± 0.6	2.1 ± 0.1

Phys. Rev. D 84, 112005 (2011)

- **Colour charge asymmetry in \mathcal{U} channel, D0 (5.4 fb⁻¹)**
 - **Use lepton-based observables:**
 - Experimentally more robust
 - No full kinematic reconstruction of $t\bar{t}$ system necessary
 - **“Classical” forward-backward asymmetry:**

$$A_{\text{FB}}^{\ell} = \frac{N_{\ell}(Q \cdot \eta > 0) - N_{\ell}(Q \cdot \eta < 0)}{N_{\ell}(Q \cdot \eta > 0) + N_{\ell}(Q \cdot \eta < 0)}$$

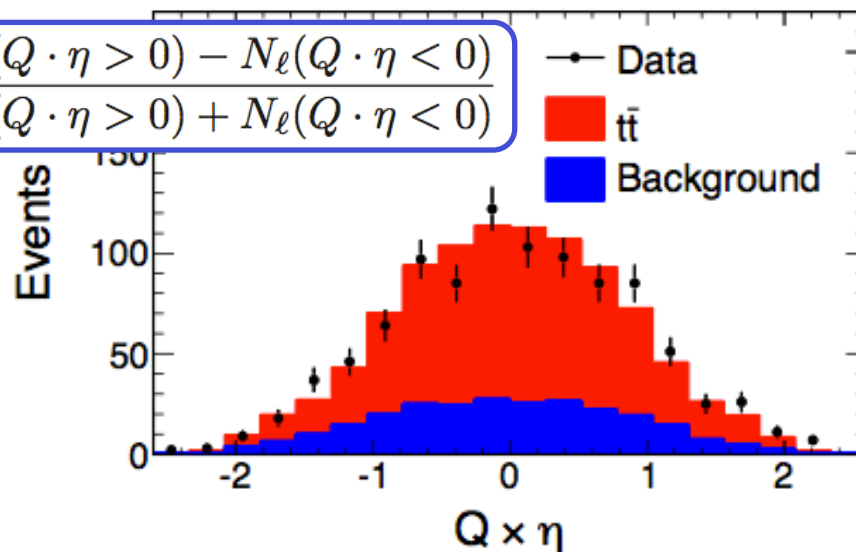
- **Longitudinal** asymmetry in spin orientation relative to proton beam direction:

$$A_{\text{CP}}^{\ell} = \frac{N_{\ell+}(\eta > 0) - N_{\ell-}(\eta < 0)}{N_{\ell+}(\eta > 0) + N_{\ell-}(\eta < 0)}$$

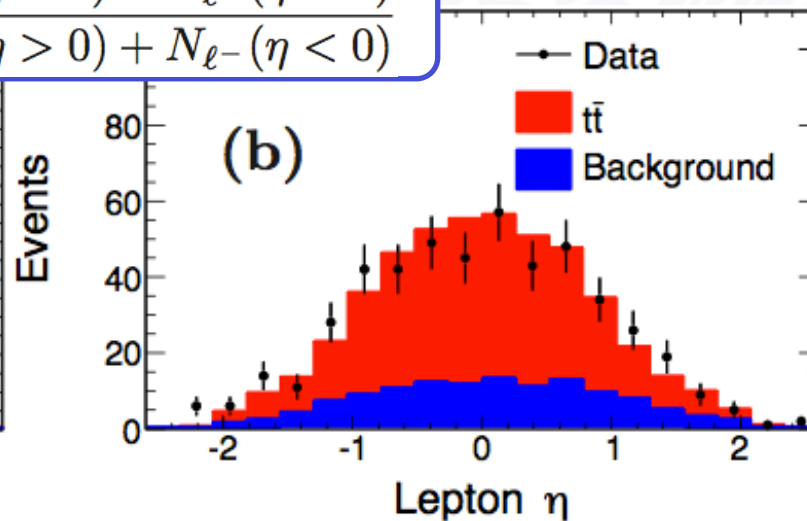
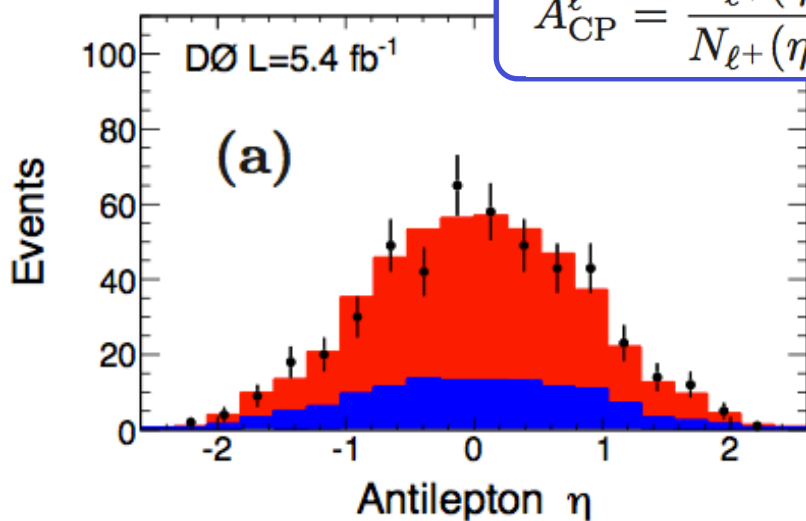
- **Sensitive** to s-channel exchanges of **heavy non-scalar resonances** with **CP-violating** couplings to quarks
- **Not sensitive** to possible **P** and **CP-violating** effects from an **s-channel exchange of Higgs bosons**

arXiv:1207.0364 [hep-ex] (2012)

$$A_{\text{FB}}^{\ell} = \frac{N_{\ell}(Q \cdot \eta > 0) - N_{\ell}(Q \cdot \eta < 0)}{N_{\ell}(Q \cdot \eta > 0) + N_{\ell}(Q \cdot \eta < 0)}$$



$$A_{\text{CP}}^{\ell} = \frac{N_{\ell+}(\eta > 0) - N_{\ell-}(\eta < 0)}{N_{\ell+}(\eta > 0) + N_{\ell-}(\eta < 0)}$$



arXiv:1207.0364 [hep-ex] (2012)

- Final results:**

*Predictions at NLO in pQCD + EW corrections:
Bernreuter and Si, Nucl. Phys. B 837, 90 (2010)*

	Raw	Unfolded	Predicted
A_{FB}^{ℓ}	$3.1 \pm 4.3 \pm 0.8$	$5.8 \pm 5.1 \pm 1.3$	4.7 ± 0.1
A_{CP}^{ℓ}	$1.8 \pm 4.3 \pm 1.0$	$-1.8 \pm 5.1 \pm 1.6$	-0.3 ± 0.1

- Combine with the $l+jets$ channel:**

$$A_{\text{FB}}^{\ell} = (11.8 \pm 3.2)\%$$

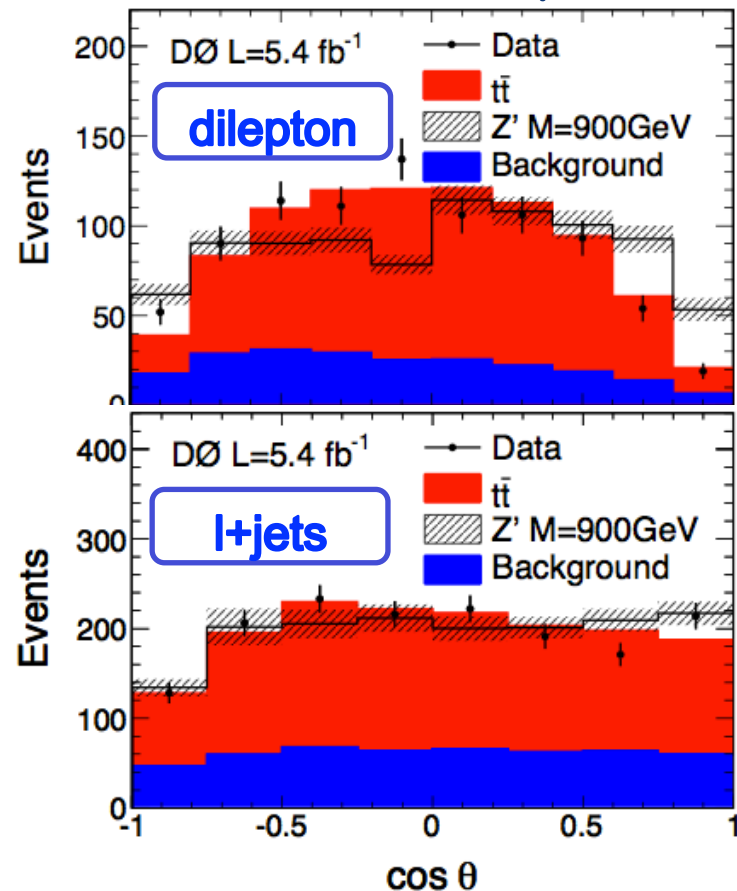
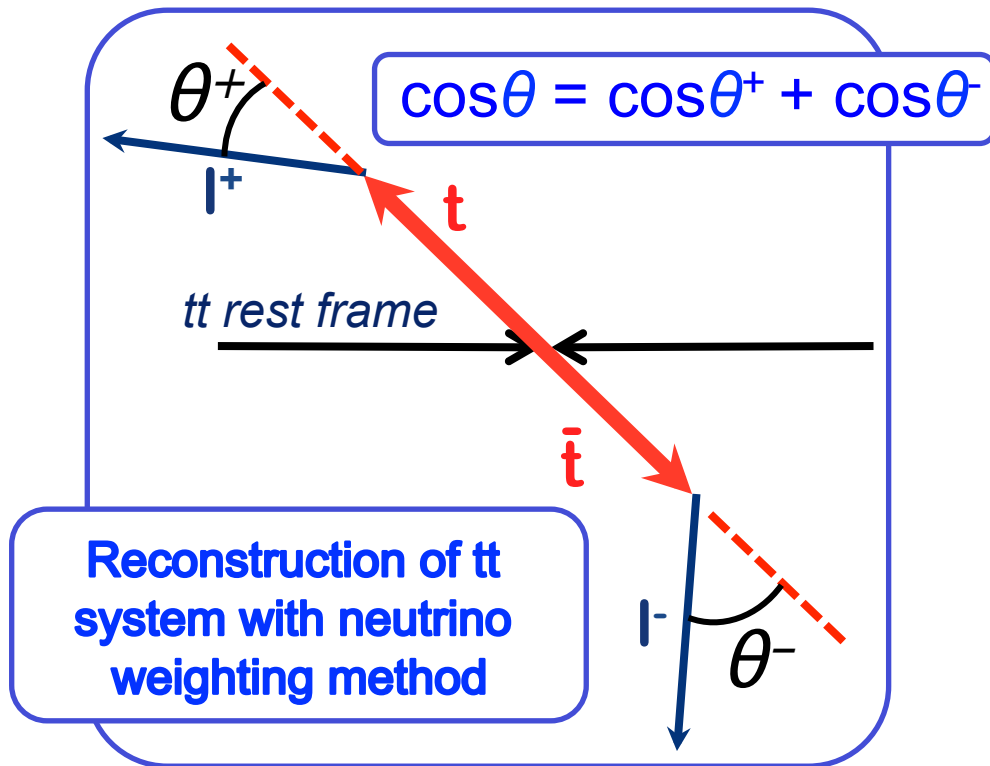
$$A_{\text{FB}}^{\ell}(\text{predicted}) = (4.7 \pm 0.1)\%$$

Predictions in $l+jets$ updated to include EW corrections

- **Relative contributions: 64% / 36% for $l+jets$ / dilepton**
- **Consistency: 68%**
- **Disagreement with prediction: 2.2 SD**

arXiv:1207.0364 [hep-ex] (2012)

- **Study of the longitudinal polarisation of top quark:**
 - In the SM, top quarks unpolarised in $t\bar{t}$ events
 - Many BSM models with enhanced A_{FB} also predict non-vanishing longitudinal polarisation of the top



arXiv:1207.0364 [hep-ex] (2012)

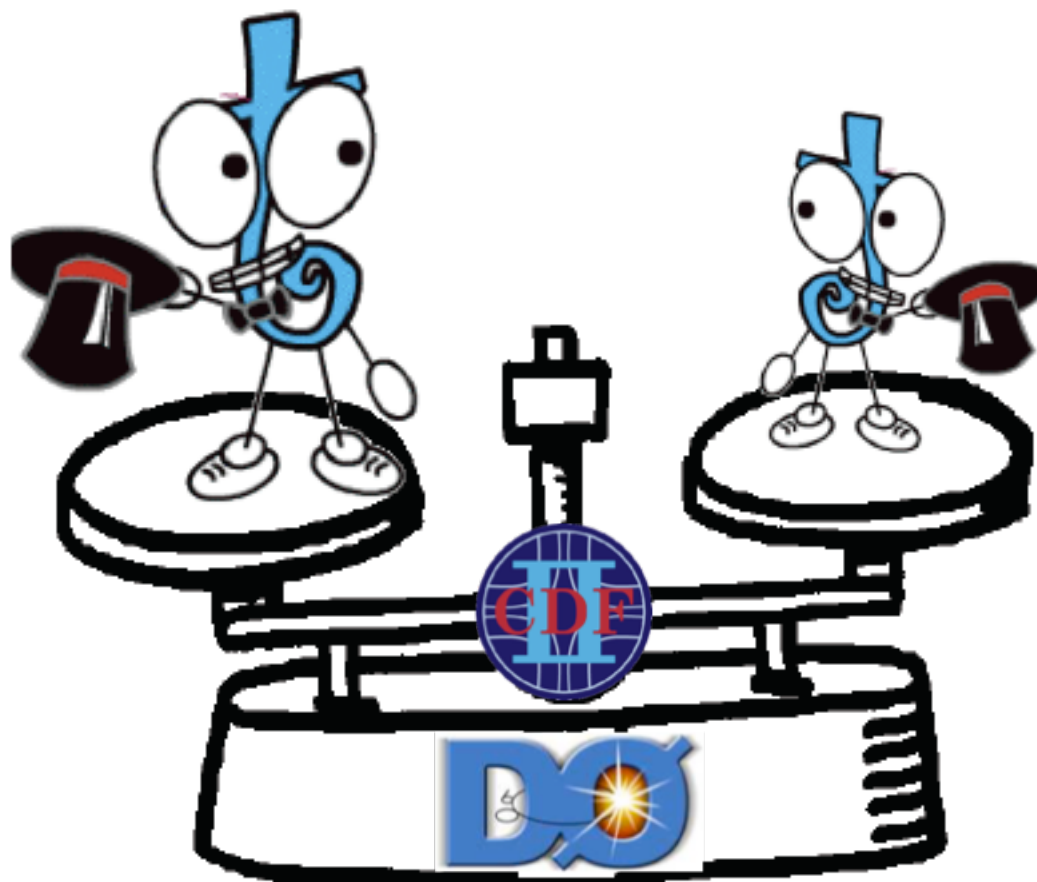
- The era of **precision measurements in the top quark sector** has begun!
- Many exciting new/updated analyses:
 - **World's most precise m_{top}** comes from the Tevatron
 - Competitive **limits on anomalous Wtb** couplings
 - The **only** measurements of **top decay width**
 - Further steps towards pinning down **strong colour charge asymmetry A_{FB}**
 - First study of top quark **polarisation**
- We are looking ahead to more exciting measurements from the Tevatron:
 - **Final, most precise measurement of m_{top}**
 - Detailed measurement of **$t\bar{t}$ production in $p\bar{p}$ collisions**
 - ...

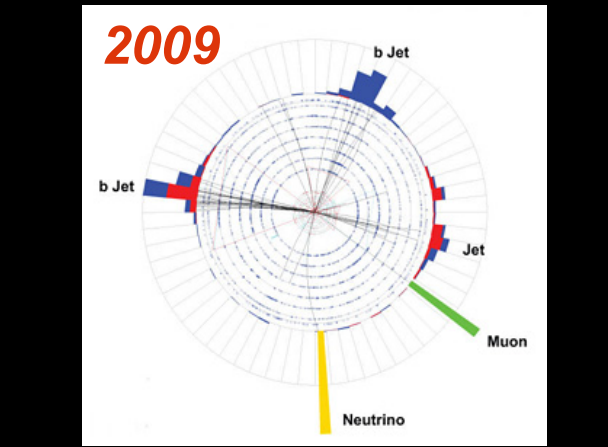
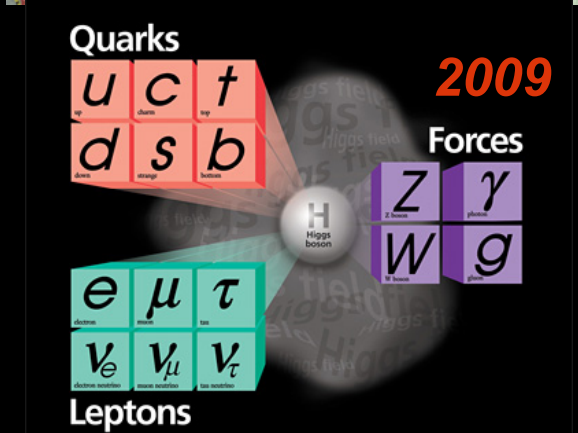
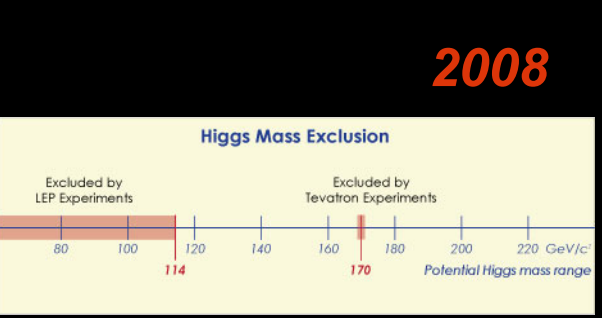
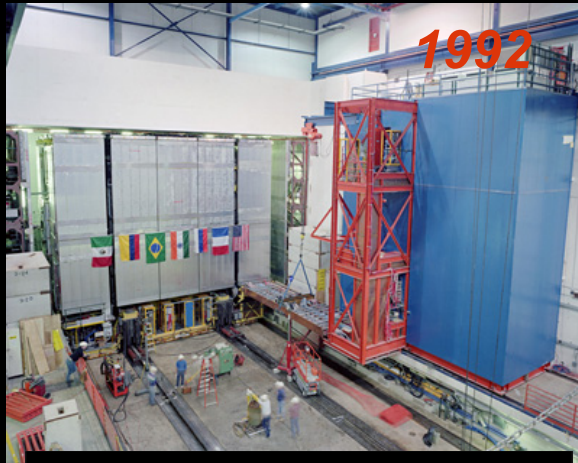
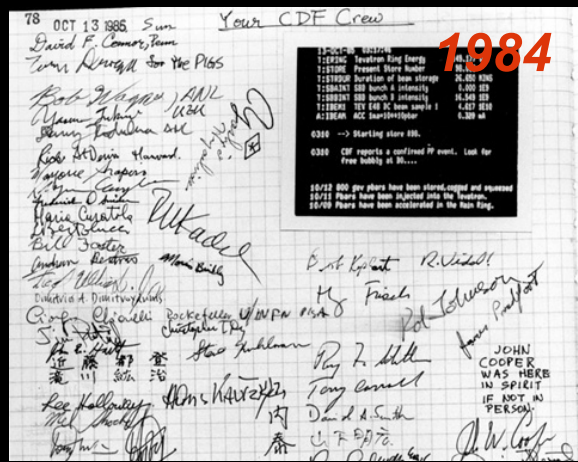
GAME OVER

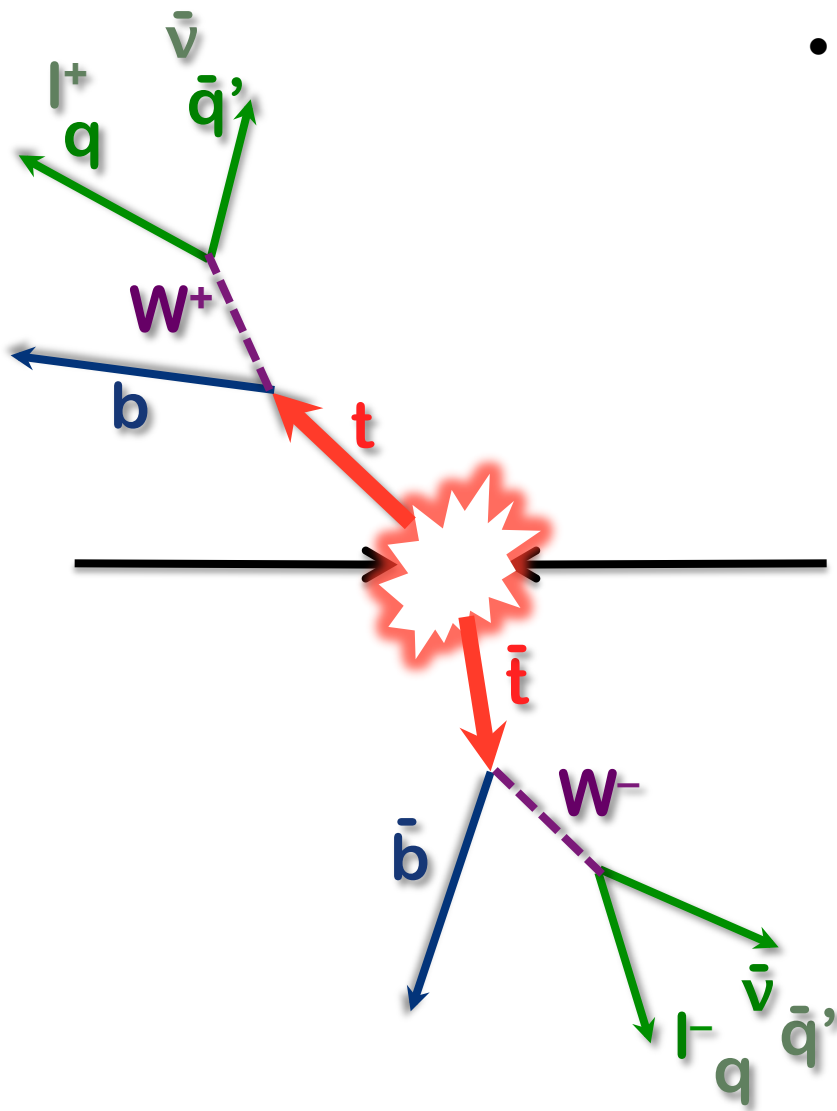
... FOR THE TEVATRON (2011)



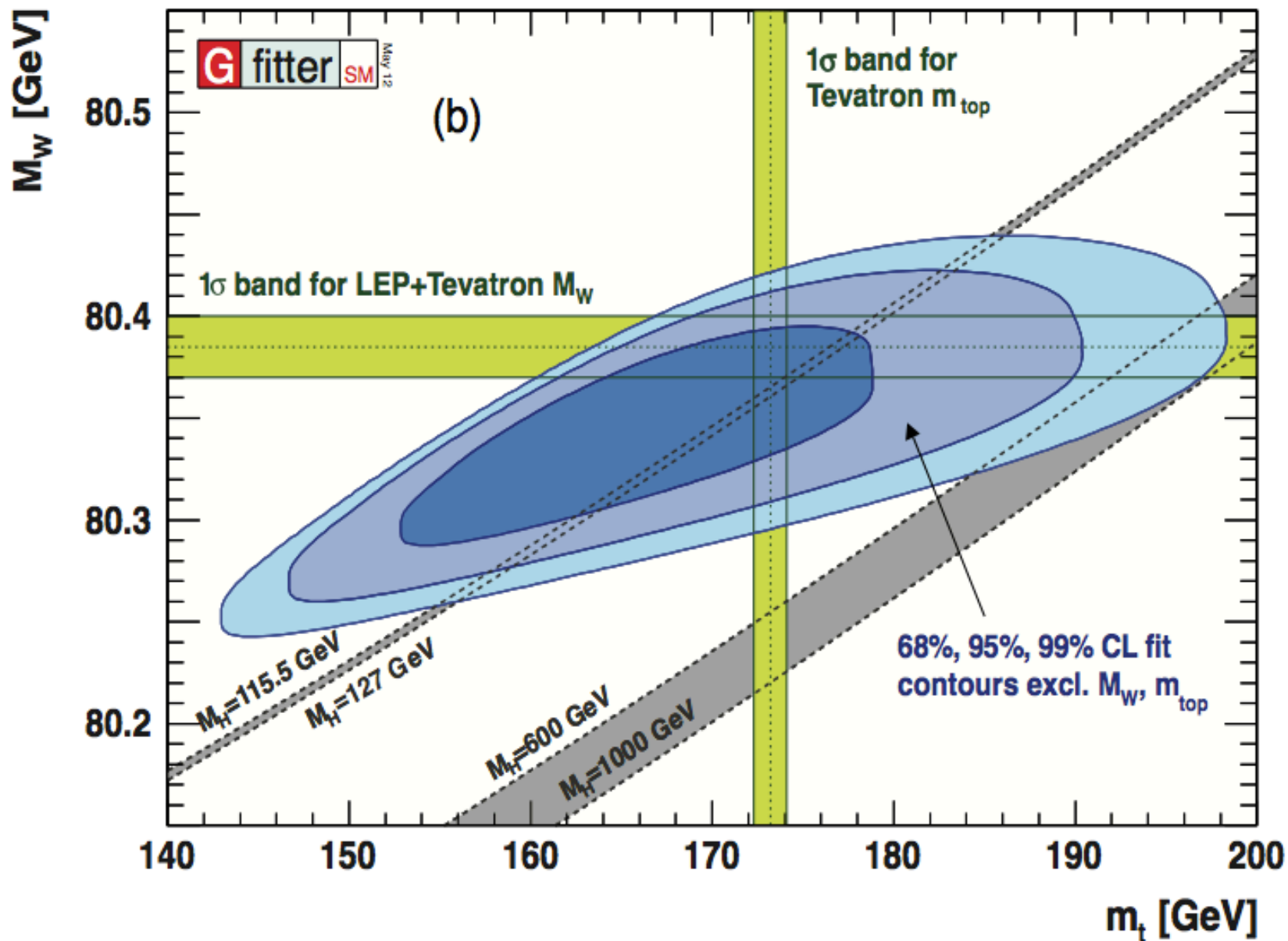
**We are looking ahead to more
exciting measurements from the Tevatron!**







- Typically: we measure top properties in $t\bar{t}$ events
 - **Dilepton channel**: low backgrounds, but underconstrained kinematics and low rate
 - **l +jets channel**: good compromise between kinematic reconstr'n, high rate, and backgrounds
 - **All-hadronic channel**: highest branching ratio, very high backgrounds from QCD multijet production
 - + other orthogonal channels...
 - Single top*: high backgrounds, moderate rate, direct access to some observables (e.g. V_{tb})



- Template method in lepton+jets final states, CDF (8.7 fb⁻¹)**

- Reconstruct the event kinematics by minimising:

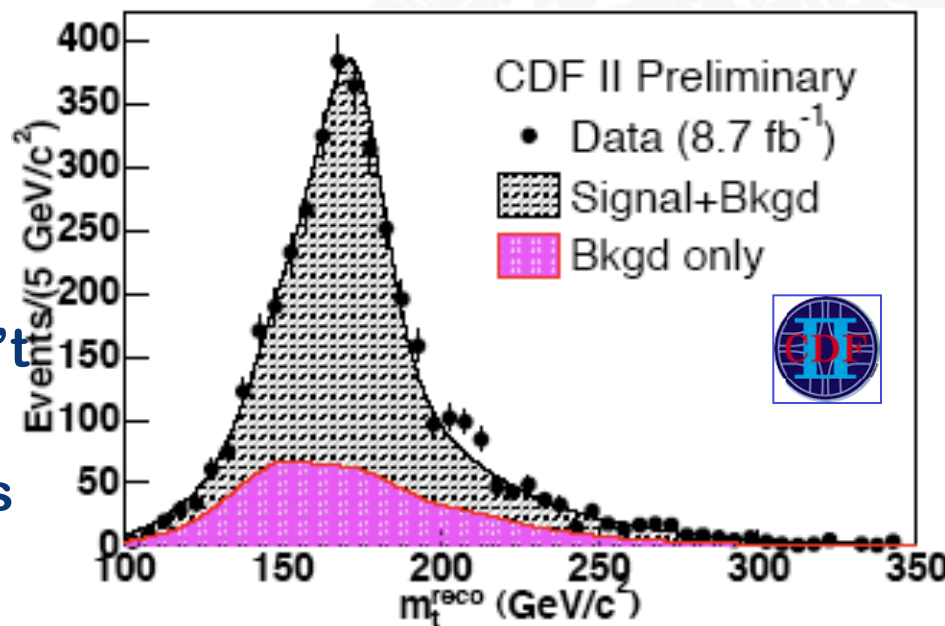
$$\chi^2 = \sum_{i=l,4jets} \frac{(p_T^{i,fit} - p_T^{i,meas})^2}{\sigma_i^2} + \sum_{j=x,y} \frac{(U_j^{fit} - U_j^{meas})^2}{\sigma_j^2}$$

$$+ \underbrace{\frac{(M_{jj} - M_W)^2}{\Gamma_W^2}}_{JES \text{ constraint}} + \underbrace{\frac{(M_{l\nu} - M_W)^2}{\Gamma_W^2}}_{MET \text{ constraint}} + \underbrace{\frac{(M_{bjj} - m_t^{reco})^2}{\Gamma_t^2} + \frac{(M_{bl\nu} - m_t^{reco})^2}{\Gamma_t^2}}_{m_{top} \text{ extraction}}$$

- Consider jet-parton assignments consistent with **b-tagging**

- **Form templates** from:

- m_t^{reco} : best jet-parton ass't
- $m_t^{reco(2)}$: second-best ass't
- m_{jj} : dijet invariant mass



Phys. Rev. Lett. **109**, 152003 (2012)

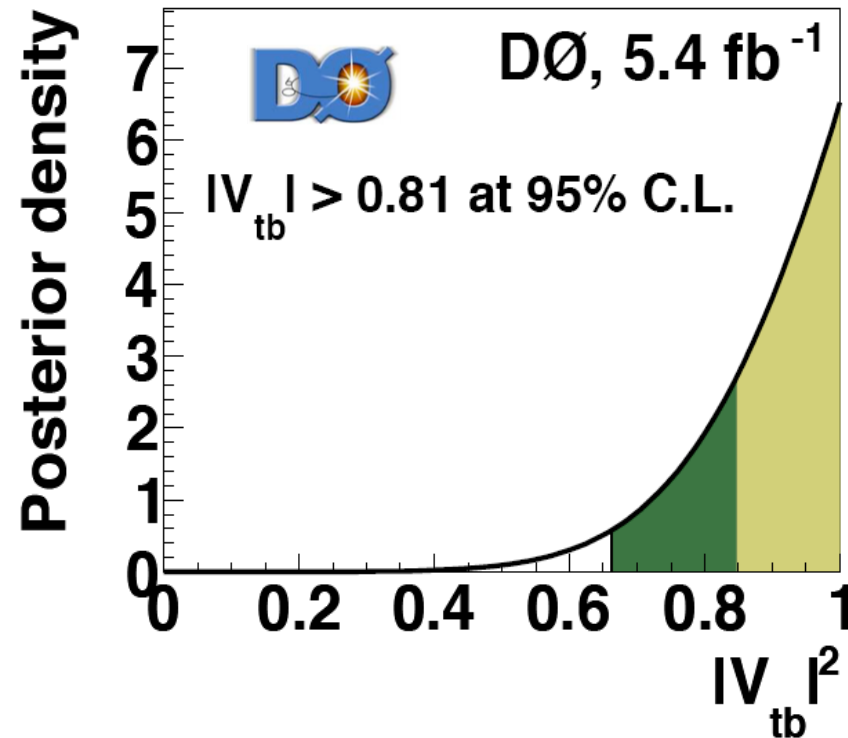
- To extract $|V_{tb}|$, use again **t -channel discriminant**
- Form the LH as before but analyse

$$|V_{tb}|^2 \mathcal{B}(t \rightarrow Wb) \sigma(t\text{-channel})_{SM, |V_{tb}|=1}$$

- Form Bayesian posterior density: 

$|V_{tb}| > 0.81$ at 95% C.L.

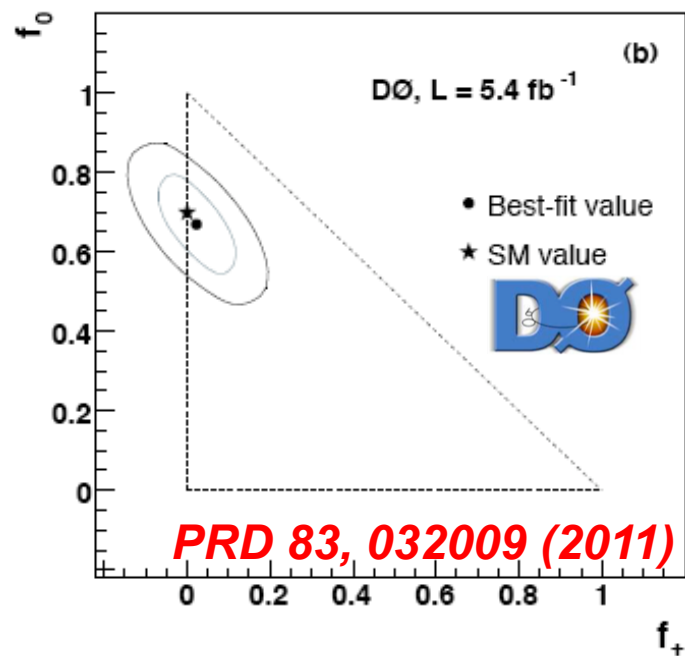
No assumption that $t \rightarrow Wb$ exclusively
or on relative t to s channel rates



Phys. Rev. D **85**, 091104 (2012)

Dilepton & l+jets comb'd

Define channel-dependent templates in $\cos\theta^*$ (leptonic W) and $|\cos\theta^*|$ (hadronic W) + LH fit

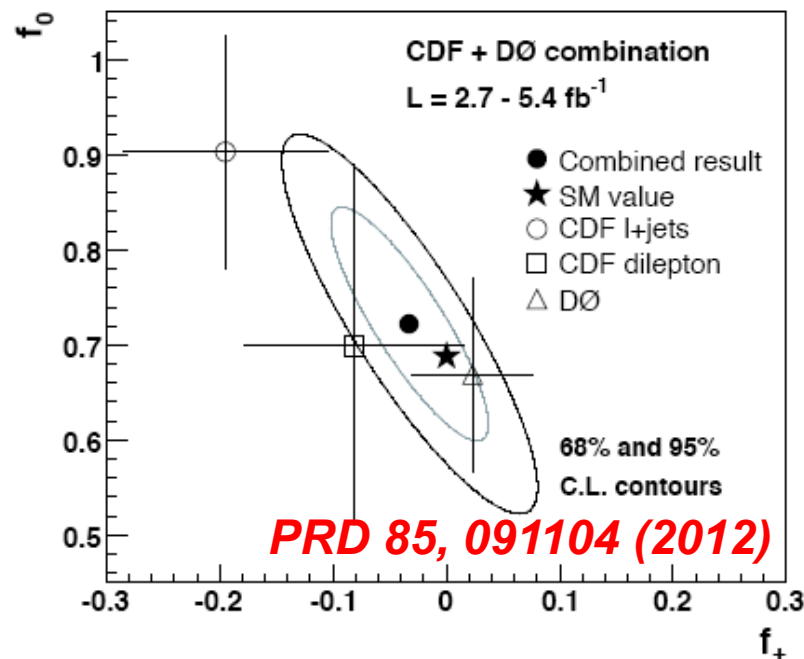


Simultaneous 2-D fit results:

$$f_0 = 0.669 \pm 0.078 \text{ (stat.)} \pm 0.065 \text{ (syst.)}$$

$$f_+ = 0.023 \pm 0.041 \text{ (stat.)} \pm 0.034 \text{ (syst.)}$$

Tevatron combination:

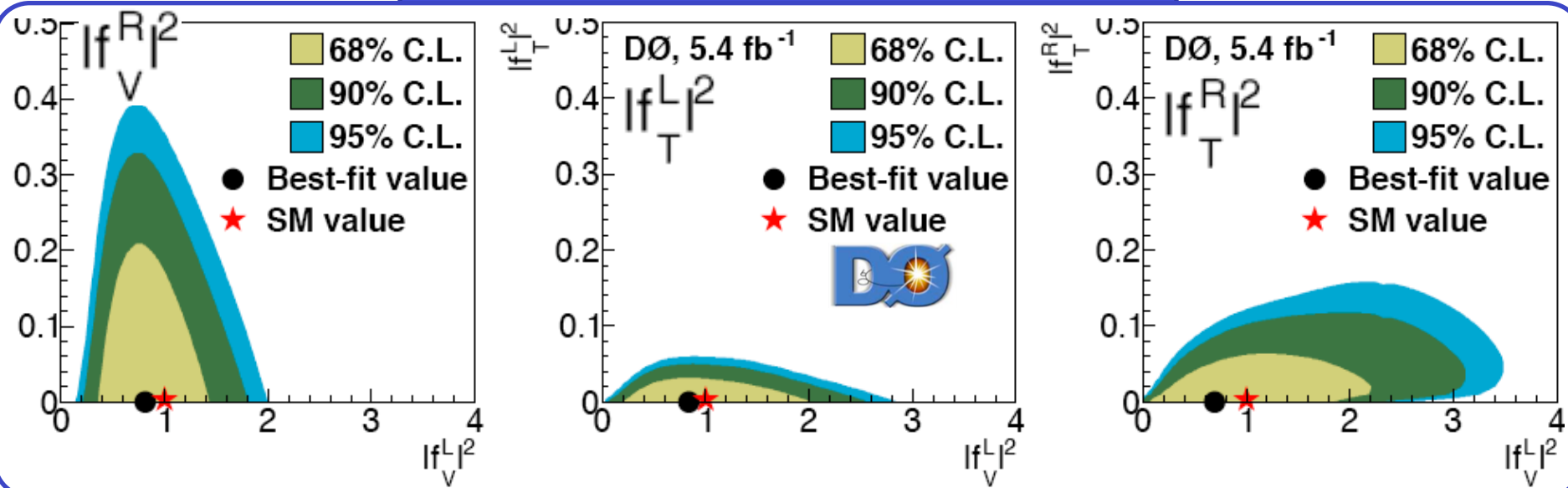


$$f_0 = 0.722 \pm 0.062 \text{ (stat.)} \pm 0.052 \text{ (syst.)}$$

$$f_+ = -0.033 \pm 0.034 \text{ (stat.)} \pm 0.031 \text{ (syst.)}$$

$$\chi^2/N_{\text{DOF}} = 8.82/4, \text{ p-value} = 6\%$$

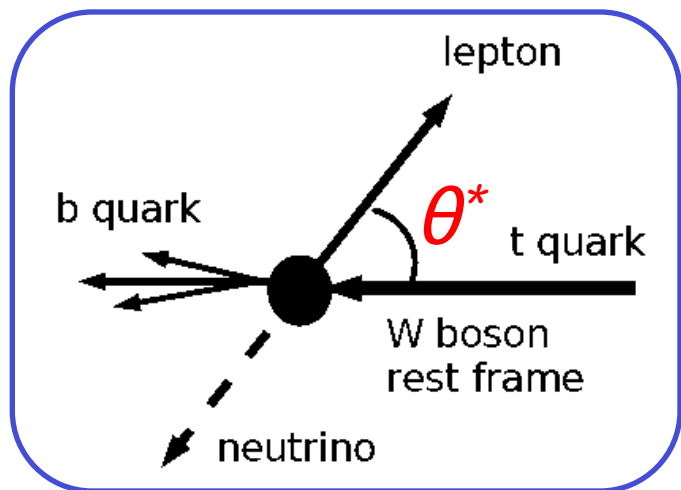
Combination of single top + W helicity



Scenario	only W helicity	only single top	combination
$ f_V^R ^2$	0.62	0.89	0.30
$ f_T^L ^2$	0.14	0.07	0.05
$ f_T^R ^2$	0.18	0.18	0.12

Significant improvement!

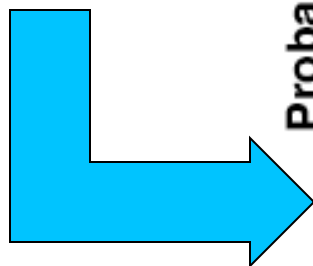
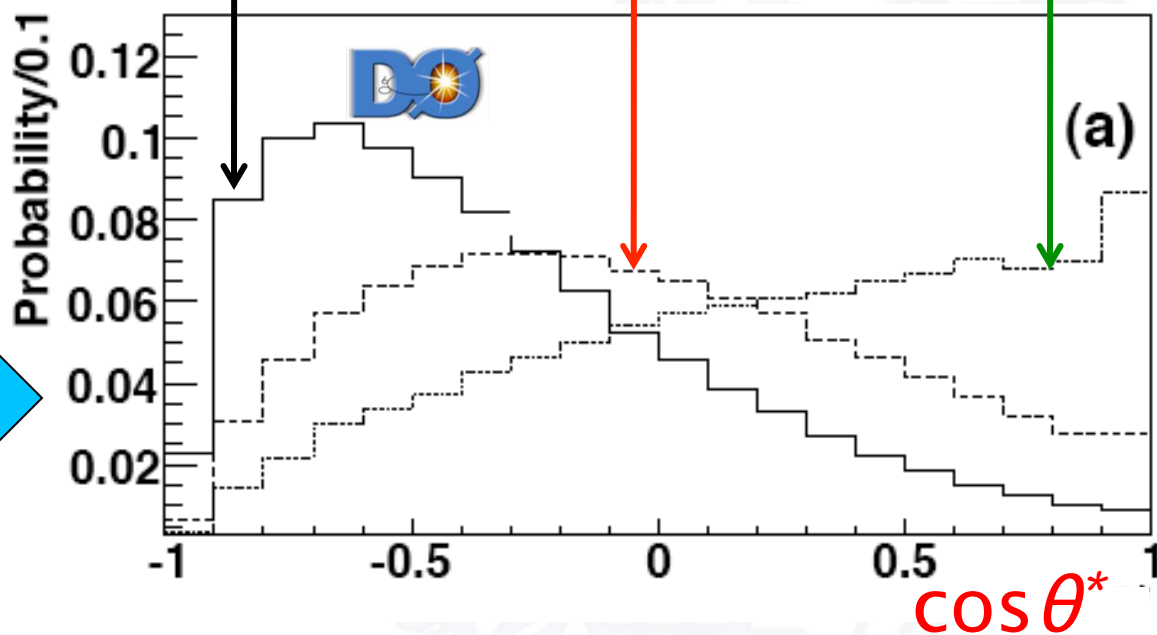
- Study the **V-A nature of the Wtb coupling**
 - Deviations from SM would indicate new physics



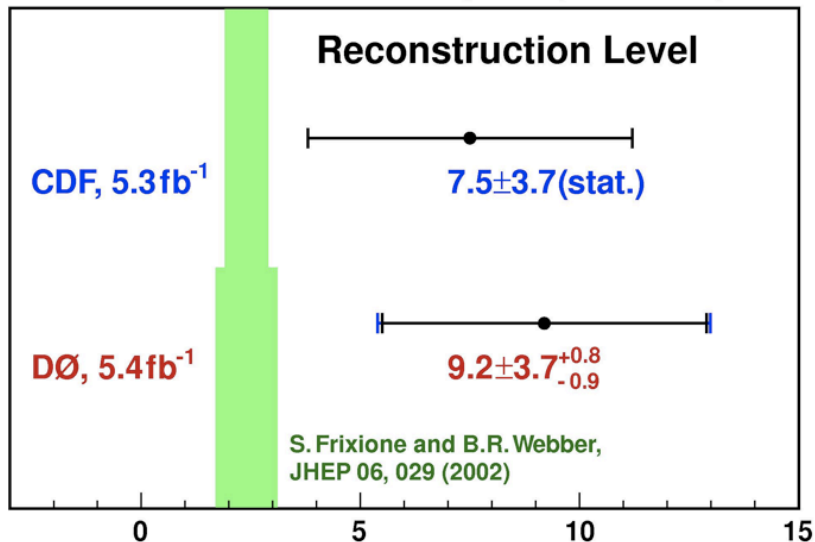
$f_- = 30.1\%$ (NLO)

$f_+ = 0.04\%$ (NLO)

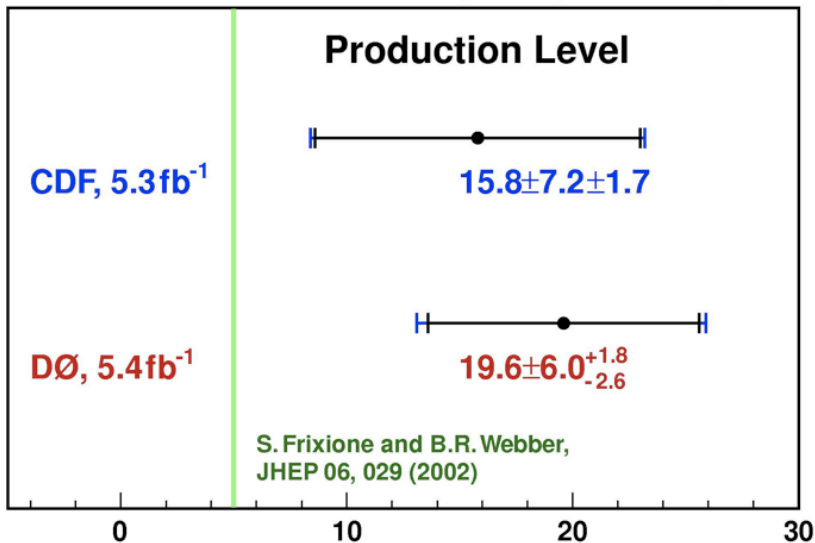
$f_0 = 69.8\%$ (NLO)



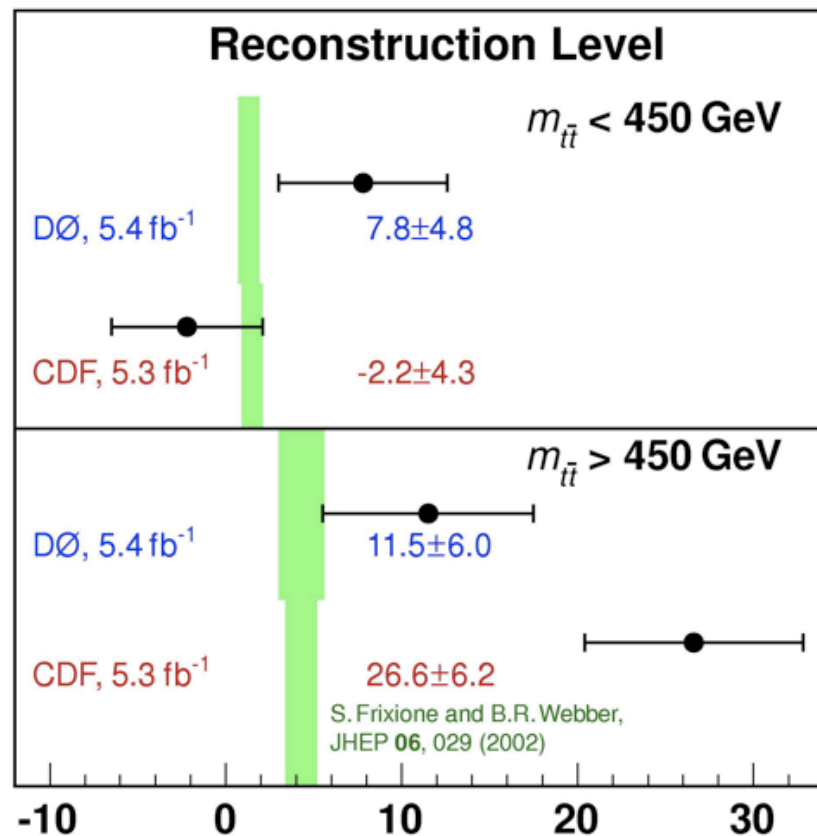
Forward-Backward Top Asymmetry, %



Forward-Backward Top Asymmetry, %



Forward-Backward Top Asymmetry, %



*There is a new measurement of A_{FB} by CDF (arXiv:1211.1003, 9.3 fb^{-1})
→ comparison plots are not available yet*

- **Invariance under Lorentz transformation is a fundamental property of the SM**
 - Thoroughly tested in the leptonic sector and for first generation, some tests for second generation, b-system
 - Quantify **Lorentz invariance violation (LIV)** in the top sector using in the **SM Extension formalism**:

$$|\mathcal{M}|_{\text{SME}}^2 = PF\bar{F} + (\delta P)F\bar{F} + P(\delta F)\bar{F} + PF(\delta\bar{F})$$

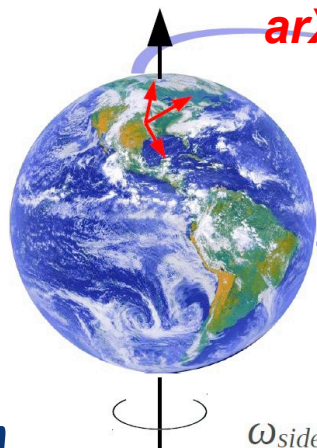
P @ prod'n vertex F @ decay vertex δ : Dependence on SM extension coefficients

[D. Colladay and V.A. Kostelecky, Phys. Rev. D 58, 116002 (1998)]
 [V.A. Kostelecky, Phys. Rev. D 69, 105009 (2004)]

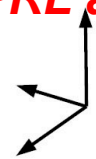
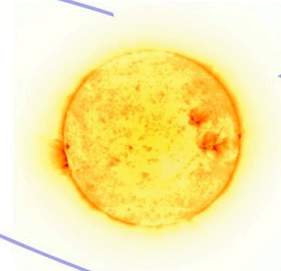
- Parametrise LIV $f_{\text{SME}}(t)$ in terms of coefficients $C_{\mu\nu}$:
 - $f_{\text{SME}}(t) = C_{\mu\nu} R_{\alpha}^{\mu}(t) R_{\beta}^{\nu}(t) A^{\alpha\beta}$
- **Non-zero $C_{\mu\nu}$ will result in time dependent $t\bar{t}$ production due to the rotation of the Earth!**

arXiv:1203.6106 [hep-ex], PRL acc'd

- The period is 1 or 1/2 sidereal day**
 - 1 Solar day
≈ 0.997 sidereal day
 - Use time stamp
to check periodicity!

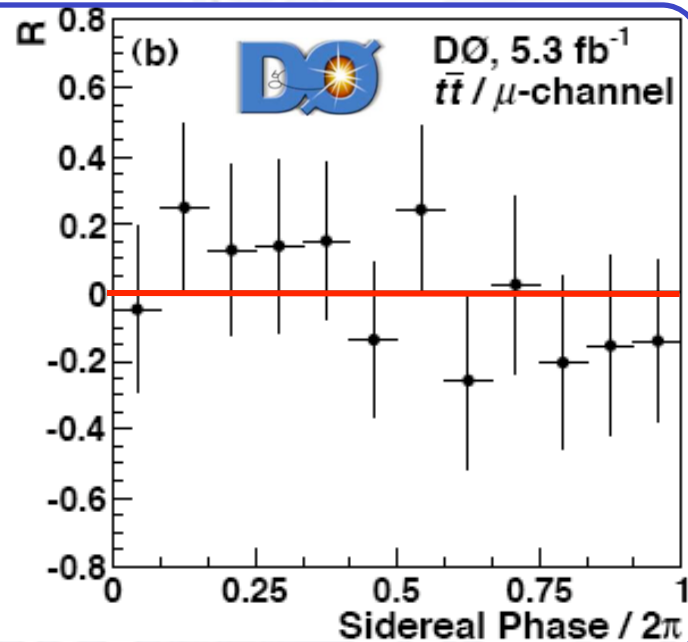
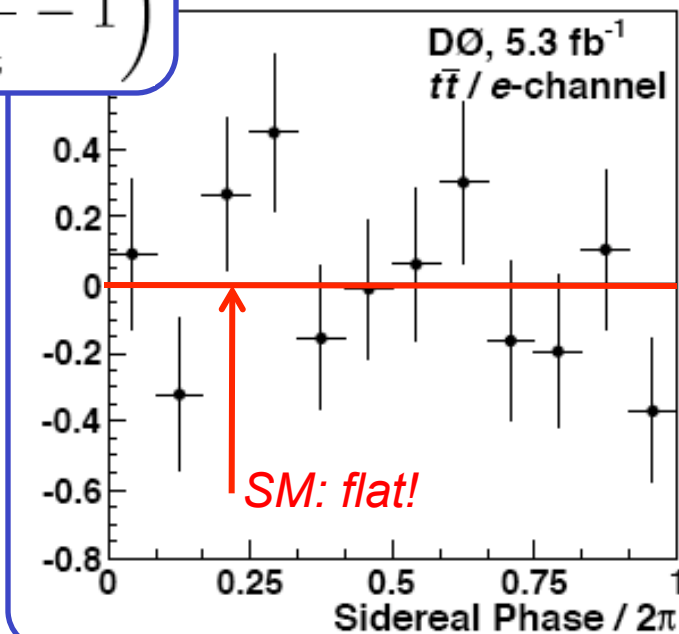


arXiv:1203.6106 [hep-ex], PRL acc'd

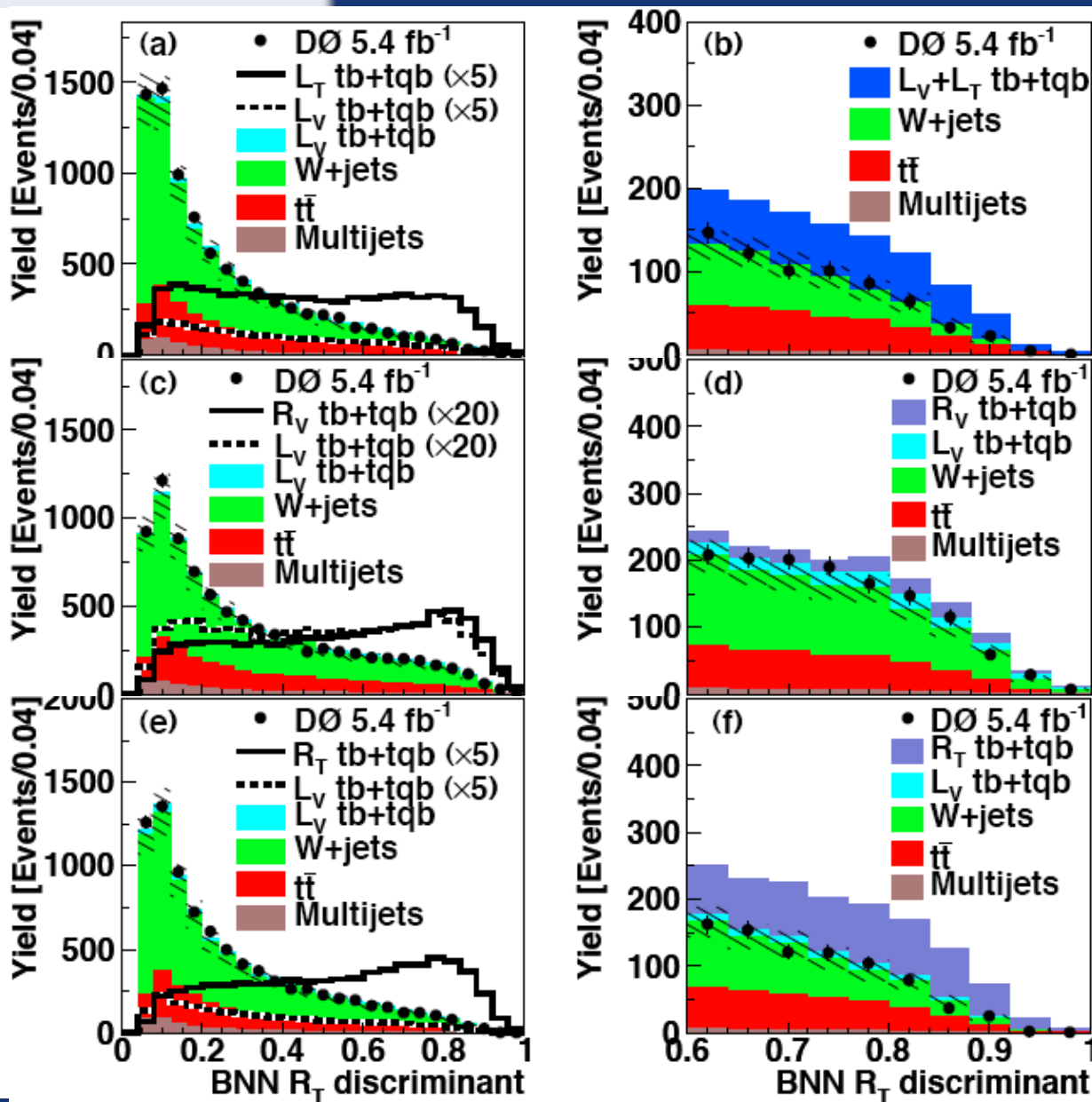


$$\sigma(t) \approx \sigma_{\text{ave}} [1 + f_{\text{SME}}(t)]$$

$$R_i \equiv \frac{1}{f_S} \left(\frac{N_i/N_{\text{tot}}}{\mathcal{L}_i/\mathcal{L}_{\text{int}}} - 1 \right)$$



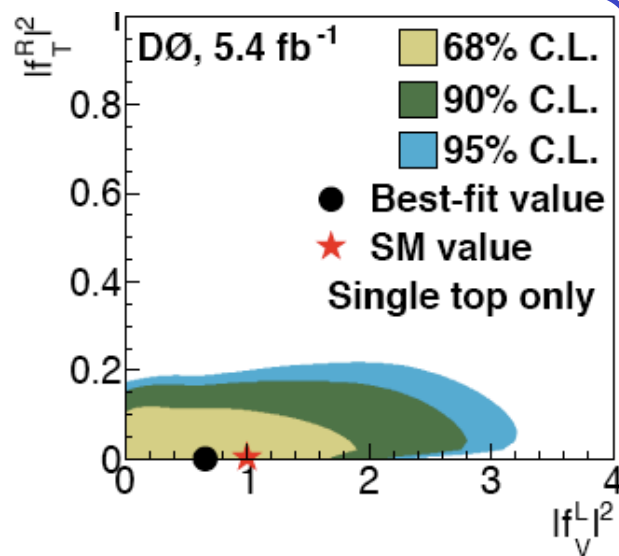
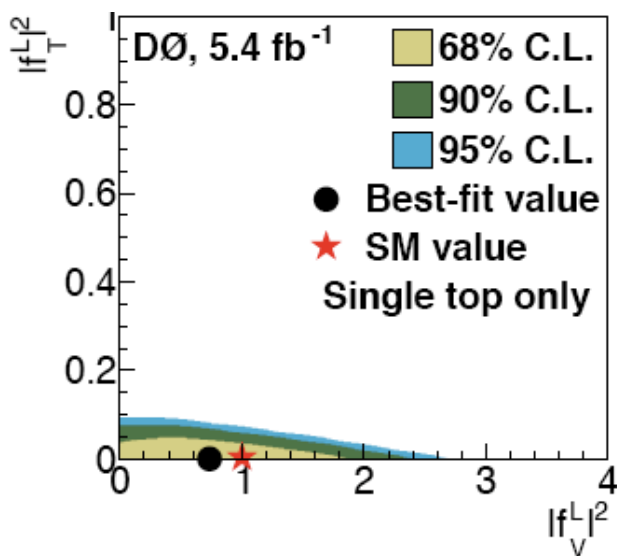
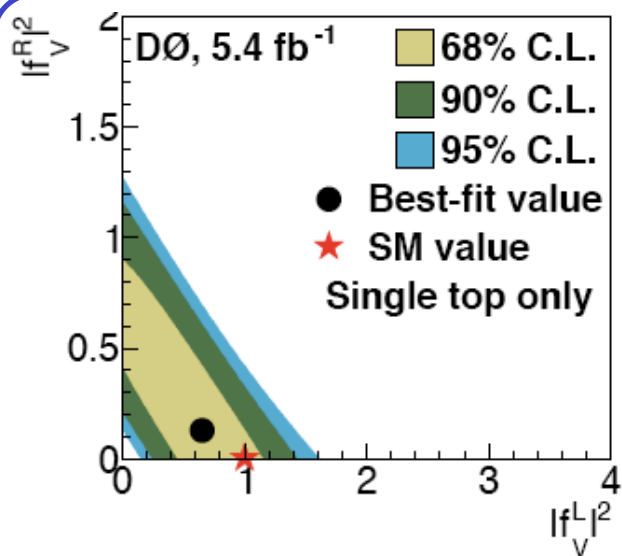
Wtb AC from single top prod'n



[arXiv:1110.4592]

- **Obtained limits:**

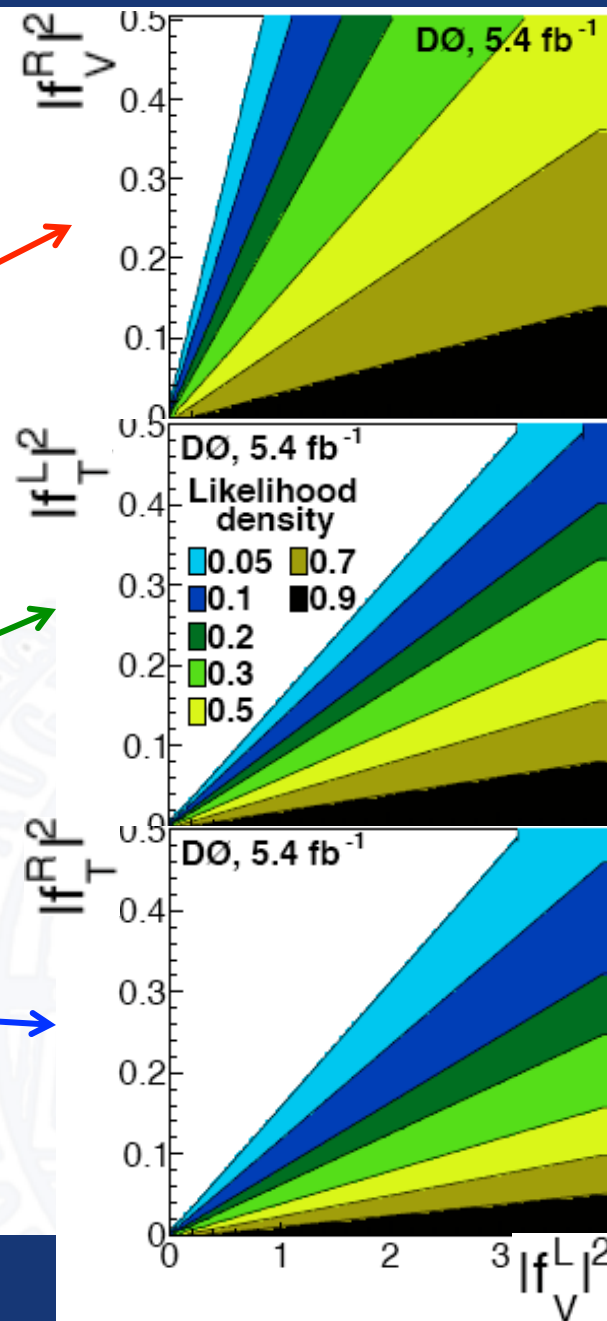
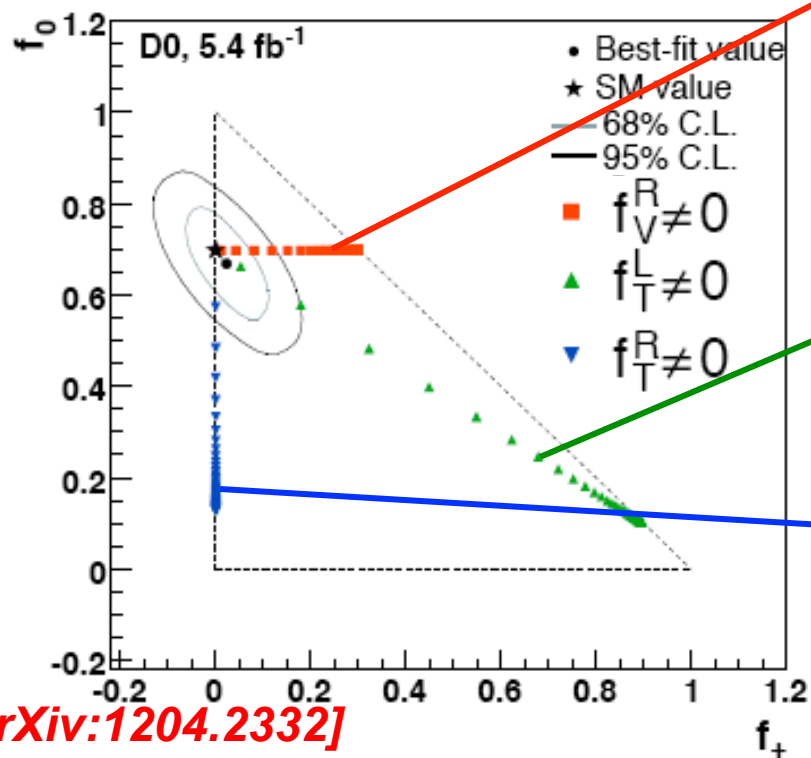
Limits on Wtb AC from single top production



Using events orthogonal to W helicity meas't ONLY

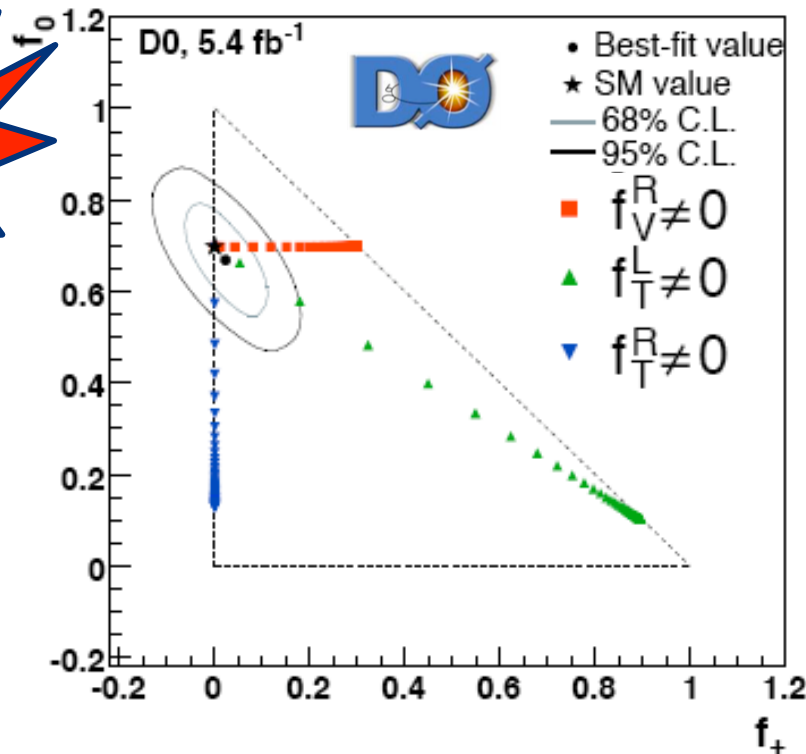
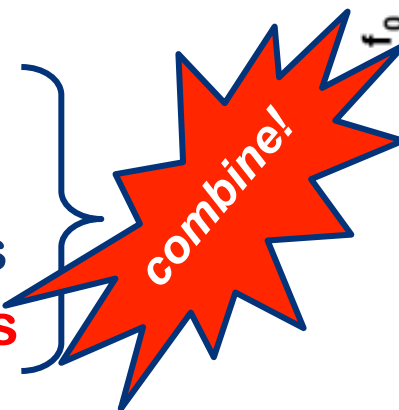
[arXiv:1110.4592]

- Wtb AC will alter:**
 - single top production (see previous slides)
 - fractions of W bosons in the 3 helicity states:



[arXiv:1204.2332]

- **Wtb AC will alter:**
 - **single top** production (see previous slides)
 - **fractions** of W bosons in the **3 helicity states**



- **Assume:**
 - Single top production through Wtb vertex exclusively
 - $|V_{td}|^2 + |V_{ts}|^2 \ll |V_{tb}|^2$

- Use the **LH from W helicity** meas't as **prior for single top**
 - Compute LH over all possible analysis channels
 - Remove overlap between selections

arXiv:1204.2332 [hep-ex], PLB acc'd

- **The period is 1 or 1/2 sidereal day**
 - 1 Solar day
≈ 0.997 sidereal day
 - Use time stamp to check periodicity!

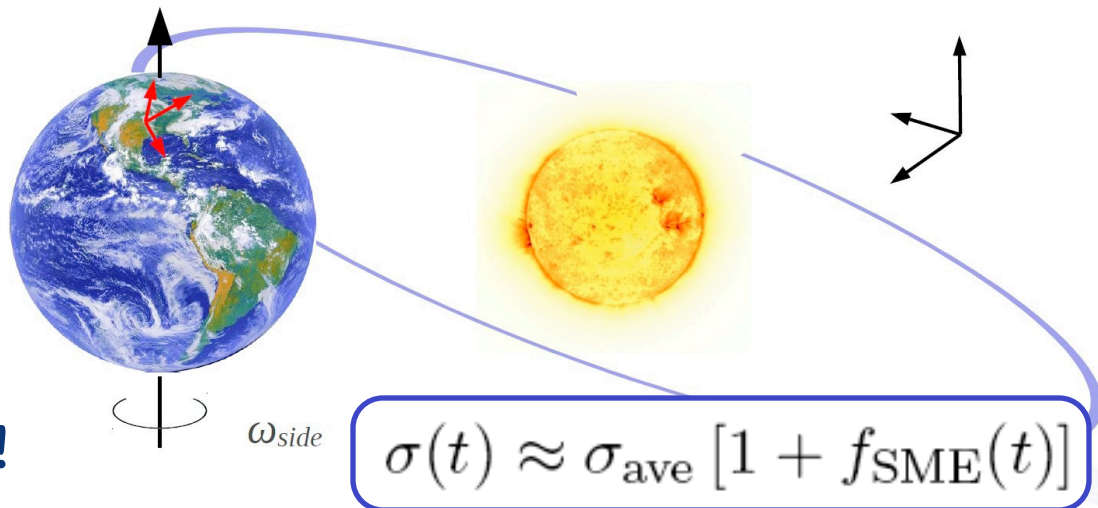


TABLE III: Limits on SME coefficients at the 95% C.L., assuming $(c_U)_{\mu\nu} \equiv 0$.

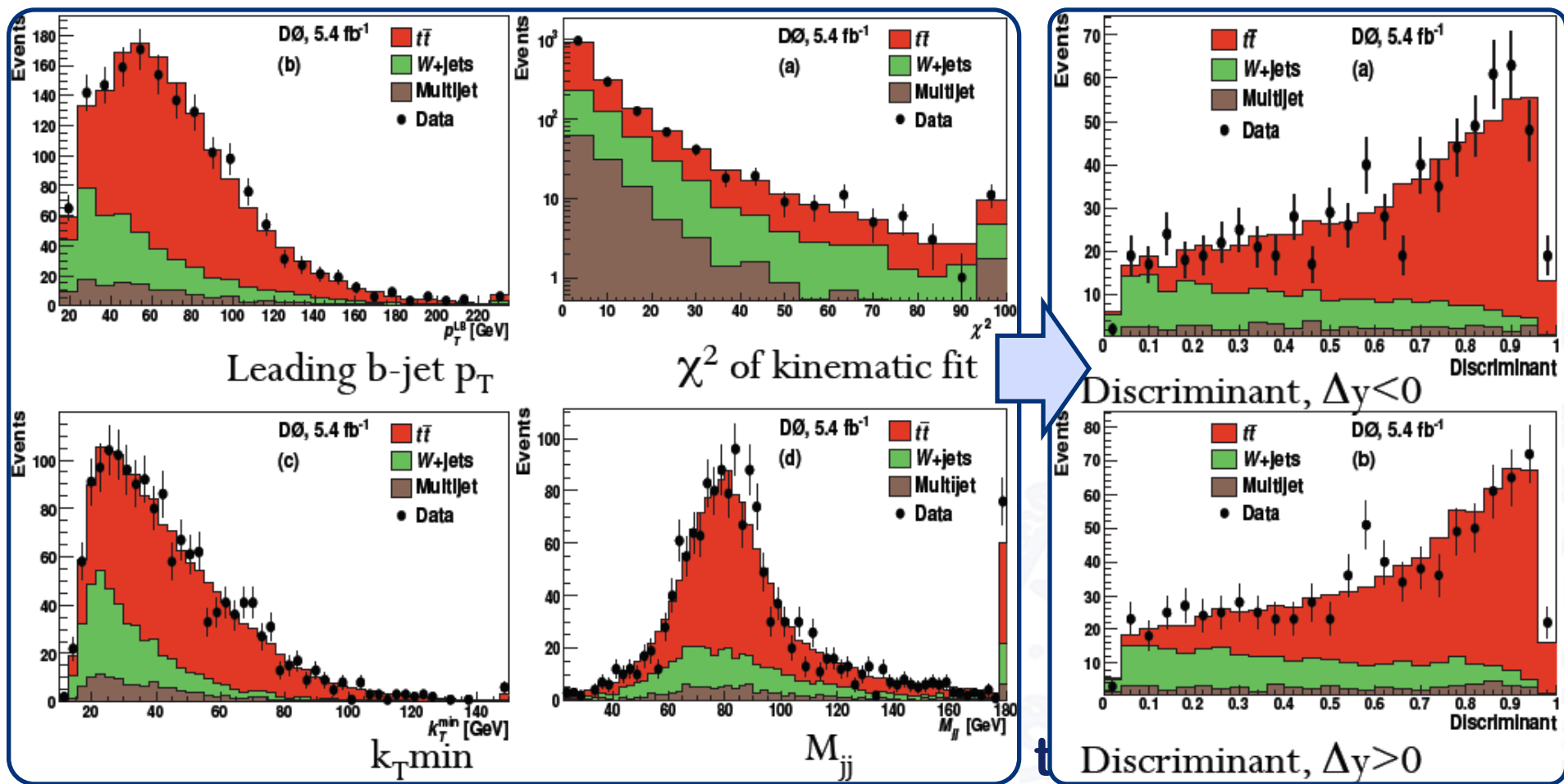
Coefficient	Value \pm Stat. \pm Sys.	95% C.L. Interval
$(c_Q)_{XX33}$	$-0.12 \pm 0.11 \pm 0.02$	$[-0.34, +0.11]$
$(c_Q)_{YY33}$	$0.12 \pm 0.11 \pm 0.02$	$[-0.11, +0.34]$
$(c_Q)_{XY33}$	$-0.04 \pm 0.11 \pm 0.01$	$[-0.26, +0.18]$
$(c_Q)_{XZ33}$	$0.15 \pm 0.08 \pm 0.02$	$[-0.01, +0.31]$
$(c_Q)_{YZ33}$	$-0.03 \pm 0.08 \pm 0.01$	$[-0.19, +0.12]$

TABLE IV: Limits on SME coefficients at the 95% C.L., assuming $(c_Q)_{\mu\nu} \equiv 0$.

Coefficient	Value \pm Stat. \pm Sys.	95% C.L. Interval
$(c_U)_{XX33}$	$0.10 \pm 0.09 \pm 0.02$	$[-0.08, +0.27]$
$(c_U)_{YY33}$	$-0.10 \pm 0.09 \pm 0.02$	$[-0.27, +0.08]$
$(c_U)_{XY33}$	$0.04 \pm 0.09 \pm 0.01$	$[-0.14, +0.22]$
$(c_U)_{XZ33}$	$-0.14 \pm 0.07 \pm 0.02$	$[-0.28, +0.01]$
$(c_U)_{YZ33}$	$0.01 \pm 0.07 \pm < 0.01$	$[-0.13, +0.14]$

[arXiv:1203.6106]

- Strong Colour charge asymmetry (D0, 5.4 fb^{-1})



$\Delta y > 0$ $\Delta y < 0$

$$A = (9.2 \pm 3.6_{-0.9}^{+0.8})\% \Leftrightarrow A(MC@NLO) = (2.4 \pm 0.3_{-0.5}^{+0.7})\%$$

	$l+\geq 4$ jets	$e+\geq 4$ jets	$\mu+\geq 4$ jets	$l+4$ jets	$l+\geq 5$ jets
Raw N_F	849	455	394	717	132
Raw N_B	732	397	335	597	135
$N_{t\bar{t}}$	1126 ± 39	622 ± 28	502 ± 28	902 ± 36	218 ± 16
$N_{W+\text{jets}}$	376 ± 39	173 ± 28	219 ± 27	346 ± 36	35 ± 16
N_{MJ}	79 ± 5	56 ± 3	8 ± 2	66 ± 4	13 ± 2
$A_{FB}(\%)$	9.2 ± 3.7	8.9 ± 5.0	9.1 ± 5.8	12.2 ± 4.3	-3.0 ± 7.9
MC@NLO $A_{FB}(\%)$	2.4 ± 0.7	2.4 ± 0.7	2.5 ± 0.9	3.9 ± 0.8	-2.9 ± 1.1

	$l+\geq 4$ jets	$e+\geq 4$ jets	$\mu+\geq 4$ jets	$l+4$ jets	$l+\geq 5$ jets
Raw N_F^l	867	485	382	730	137
Raw N_B^l	665	367	298	546	119
$N_{t\bar{t}}$	1096 ± 39	622 ± 28	474 ± 27	881 ± 36	211 ± 16
$N_{W+\text{jets}}$	356 ± 39	173 ± 28	198 ± 27	323 ± 36	31 ± 16
N_{MJ}	79 ± 5	56 ± 3	8 ± 2	66 ± 4	14 ± 2
$A_{FB}^l(\%)$	14.2 ± 3.8	16.5 ± 4.9	9.8 ± 5.9	15.9 ± 4.3	7.0 ± 8.0
MC@NLO $A_{FB}^l(\%)$	0.8 ± 0.6	0.7 ± 0.6	1.0 ± 0.8	2.1 ± 0.6	-3.8 ± 1.2

- **Template method, 4.7 fb^{-1} (DØ):**
 - m_{top} free parameter \rightarrow dilepton events are **kinematically underconstrained**
 - Use the so-called **neutrino-weighting algorithm**:
 - Postulate eta-distributions of neutrinos from MC
 - Calculate weight distribution vs. m_{top}
 - Use 1st and 2nd moment of this distribution to form templates
 - Apply **in-situ JES** calibration from **l+jets channel**:

$$1.013 \pm 0.008(\text{stat})$$
 - **Caveat:**
 k_{JES} can be final state-dependent, so we derive a dedicated response correction
 - **Final result:**

$$m_t = 174.0 \pm 2.4(\text{stat}) \pm 1.4(\text{syst}) \text{ GeV}$$

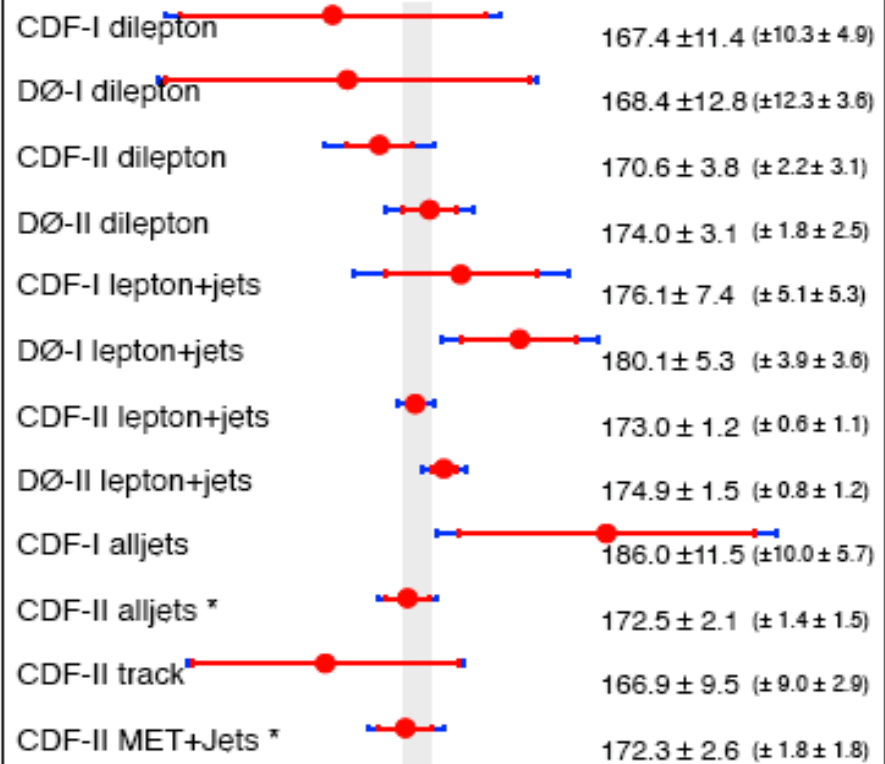
arXiv:1201.5172 [hep-ex] (2011)

Best Tevatron dilepton result!

Mass of the Top Quark

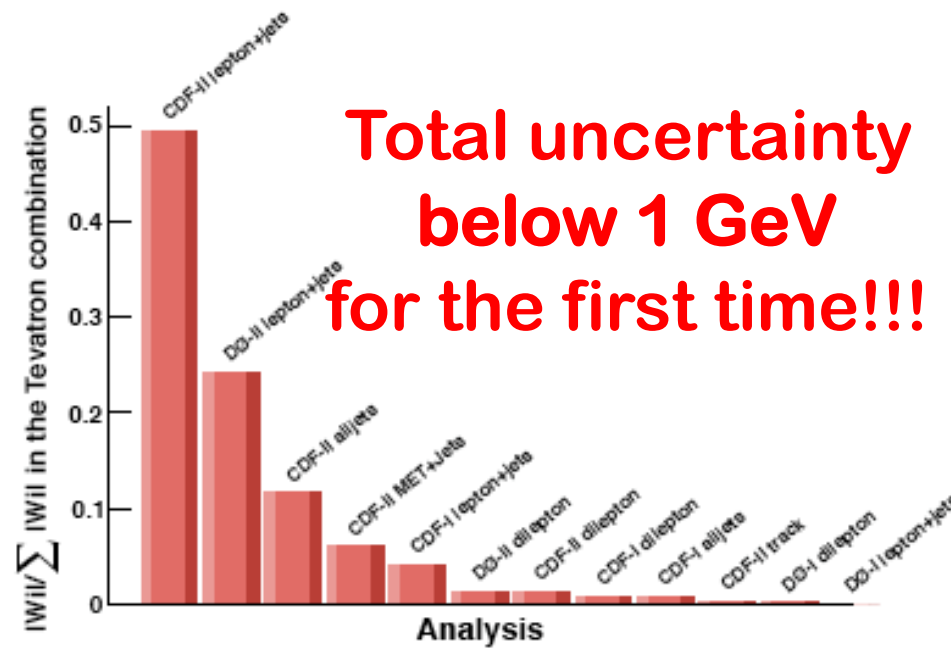
July 2011

(* preliminary)



173.2 ± 0.9 (± 0.6 ± 0.8)
(± stat ± syst)
 $\chi^2/\text{dof} = 8.3/11$ (68.5%)

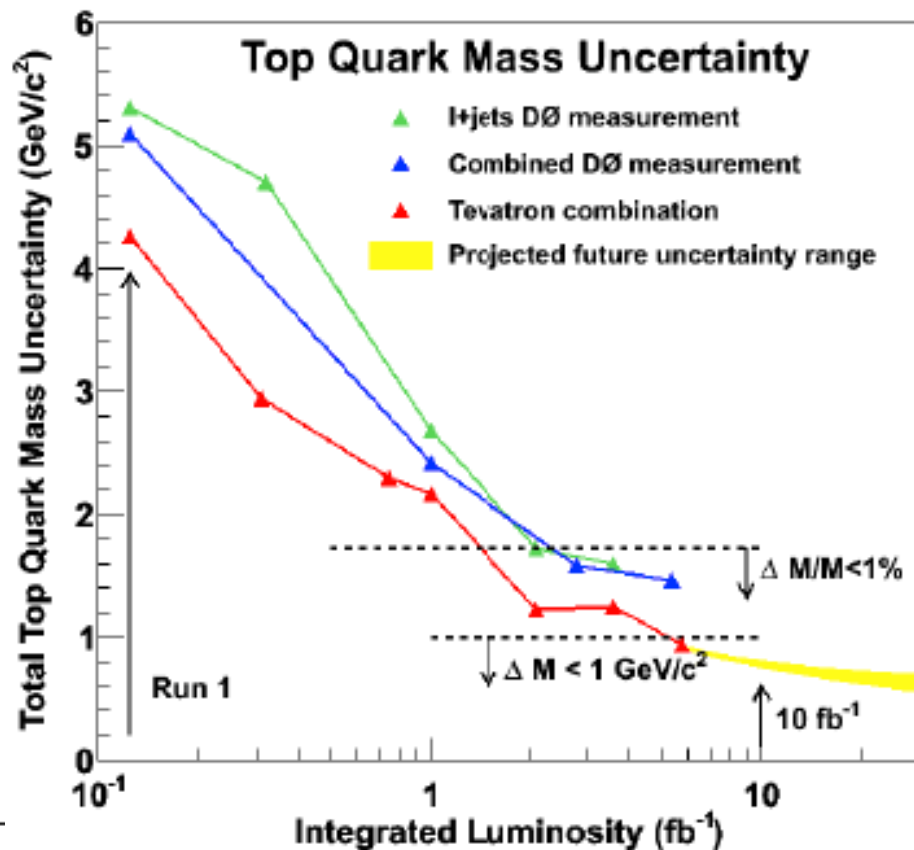
$$m_{\text{top}} = 173.2 \pm 0.6 \text{ (stat)} \pm 0.8 \text{ (syst)}$$



arXiv:1107.5255 [hep-ex]

Tevatron combined values (GeV/c^2)

m_t	173.18
iJES ← <i>In-situ JES calibration</i> $\sim 1/\sqrt{N}$	0.39
aJES	0.09
bJES	0.15
cJES	0.05
dJES ← <i>Size of calibration samples</i> $\sim 1/\sqrt{N}$	0.20
rJES	0.12
Lepton p_T	0.10
Signal ← <i>Various signal modeling uncert.</i>	0.51
Detector Modeling $\sim \sqrt{\text{brain effort}}$	0.10
UN/MI	0.00
Background from MC	0.14
Background from Data	0.11
Method	0.09
MHI	0.08
Systematics	0.75
Statistics	0.56
Total	0.94



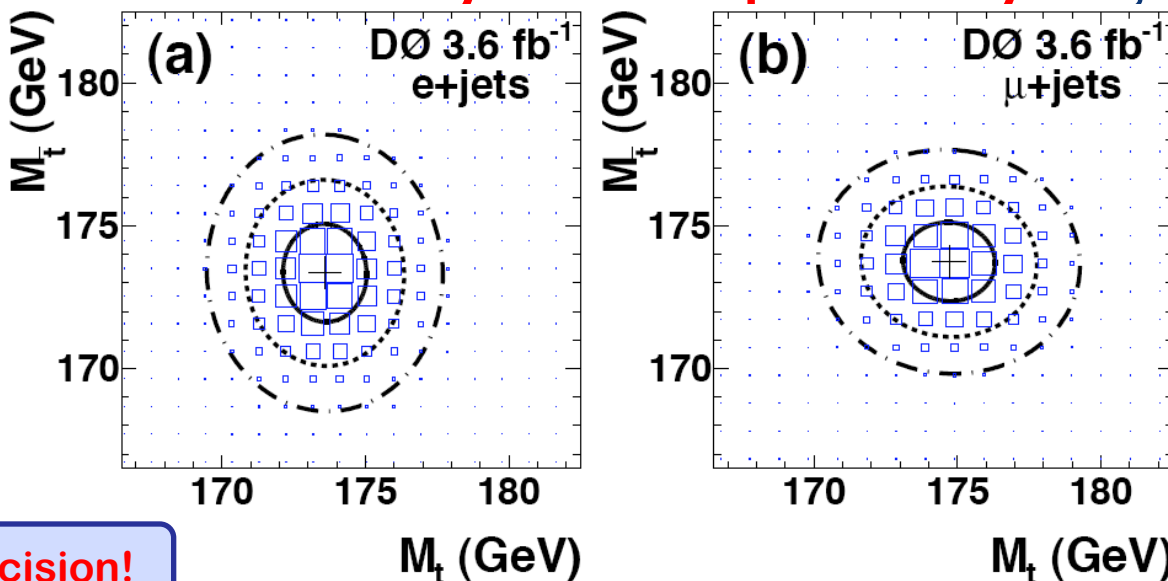
Relative uncertainty: 0.54%
Expect this limit to be improved...

- CPT** is essential for a locally Lorentz-invariant QFT

- $m_{\text{particle}} \neq m_{\text{antiparticle}} \rightarrow$ **CPT violated!**

- Top is the only quark where this test is possible $\tau_t = (3.3^{+1.3}_{-0.9}) \times 10^{-25}$ s

- **DØ** measures **directly and independently** $m_t, m_{\bar{t}}$, **(ME):**



<1% relative precision!

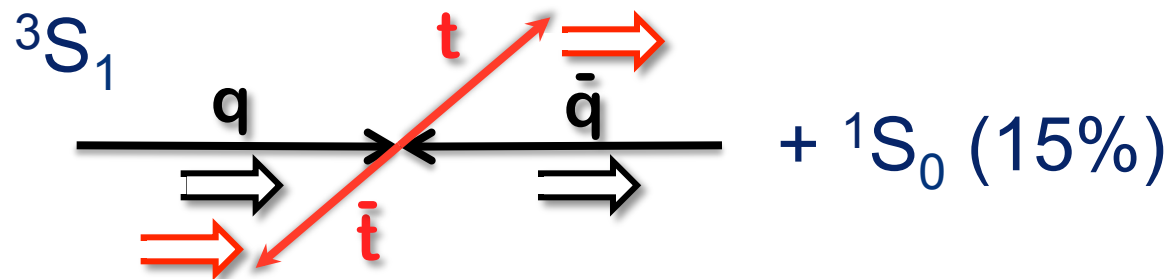
$$\Delta m \equiv m_t - m_{\bar{t}} = 0.8 \pm 1.8 \text{ (stat)} \pm 0.5 \text{ (syst) GeV}$$

$$\Delta m \quad \frac{m_t + m_{\bar{t}}}{2} \equiv 172.5 \text{ GeV}$$

$$\Delta m = -1.95 \pm 1.11 \text{ (stat)} \pm 0.59 \text{ (syst) GeV (8.7 fb}^{-1}\text{)}$$

DØ: Phys. Rev. D **84**, 052005 (2011)
CDF: Conf-Note 10777 (2012)

- $\tau_t = (3.3_{-0.9}^{+1.3}) \times 10^{-25} \text{ s} \ll \text{hadronisation time}$
- Decay products carry info about spin of $t\bar{t}$ system



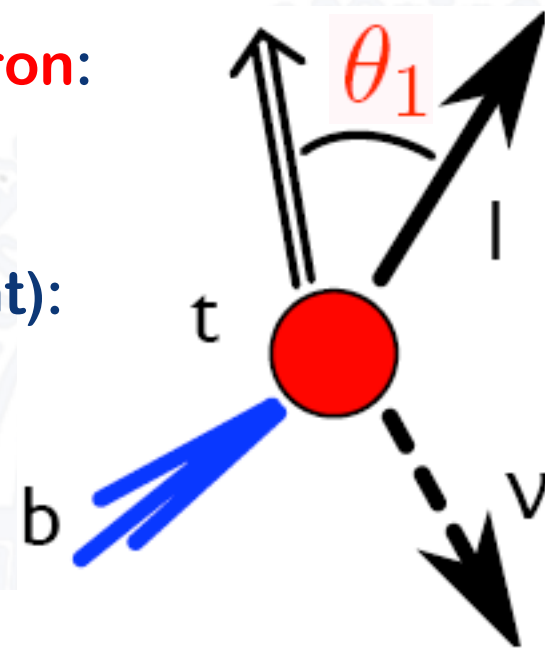
- In this form possible **only at the Tevatron**:
 - High $q\bar{q}$ fraction (LHC: $\sim 10\%$)
 - production at threshold dominates
- Correlation strength (frame dependent):

$$C = \frac{N_{\uparrow\uparrow} + N_{\downarrow\downarrow} - N_{\downarrow\uparrow} - N_{\uparrow\downarrow}}{N_{\uparrow\uparrow} + N_{\downarrow\downarrow} + N_{\downarrow\uparrow} + N_{\uparrow\downarrow}}$$

- Analyse it using angular info:

$$\frac{1}{\sigma} \frac{d^2\sigma}{d\cos\theta_1 d\cos\theta_2} = \frac{1}{4} (1 - C \cos\theta_1 \cos\theta_2)$$

(for dilepton channel case)



- How can we adopt the superior matrix element* (ME) technique for the spin correlation measurement?
 - Melnikov and Schulze (PLB 700, 17 (2011)):

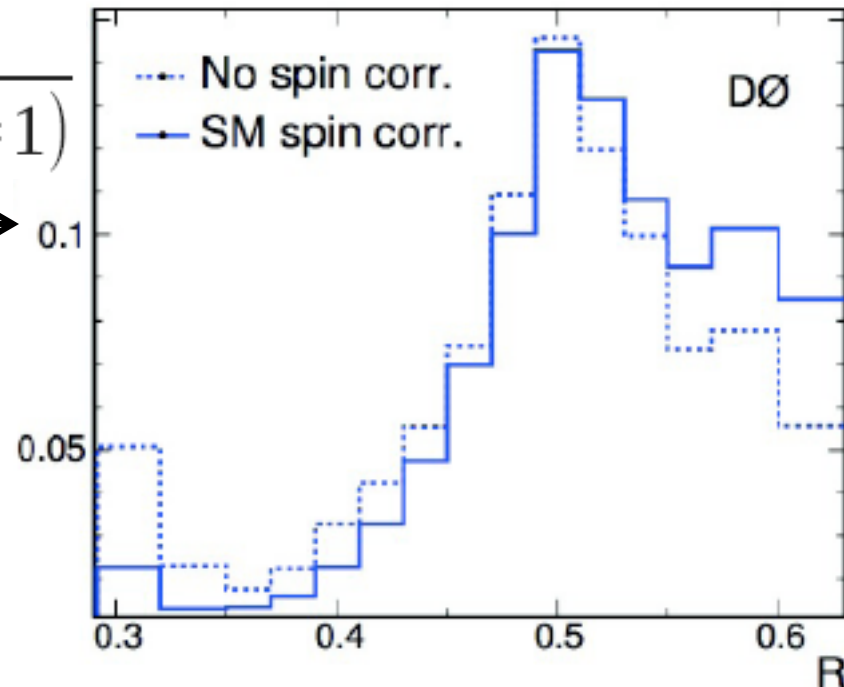
$$R(x) = \frac{P_{t\bar{t}}(x, H=1)}{P_{t\bar{t}}(x, H=0) + P_{t\bar{t}}(x, H=1)}$$

- Construct templates in R \longrightarrow
- Observable:

- Fraction of events with spin corr.:

$$f = \frac{N_{t\bar{t}}(\text{w./spin correlation})}{N_{t\bar{t}}(\text{all})}$$

- Translates into $C \rightarrow f * C_{SM}$
 - i.e. SM pred'n is $f = 1$



* I will discuss the ME technique in detail in the context of m_{top} meas't
Here: it gives probability $P(x, H)$ that a given event came from the process described by the ME, given observed kinematics x and hypothesis H

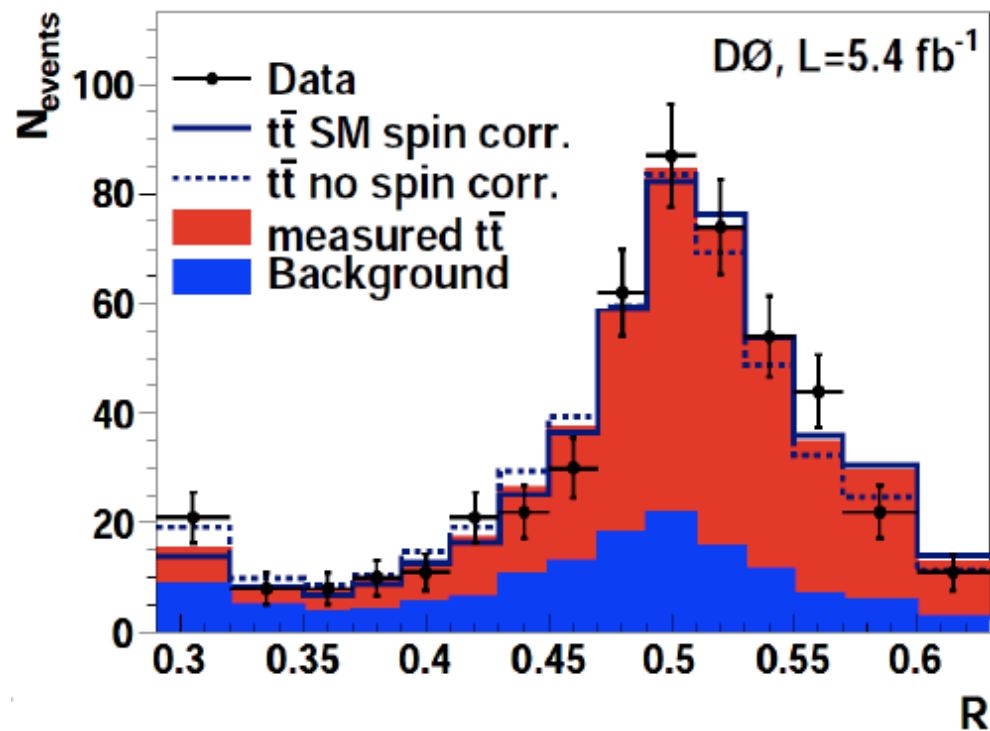
- Take ME from Mahlon & Parke (PLB 411, 173 (1997)):

$$\sum |(M)|^2 = \frac{1+H}{2} \frac{g_s^4}{9} F \bar{F} (2 - \beta^2 s_{qt}^2) - H \frac{g_s^4}{9} F \bar{F} \Delta$$

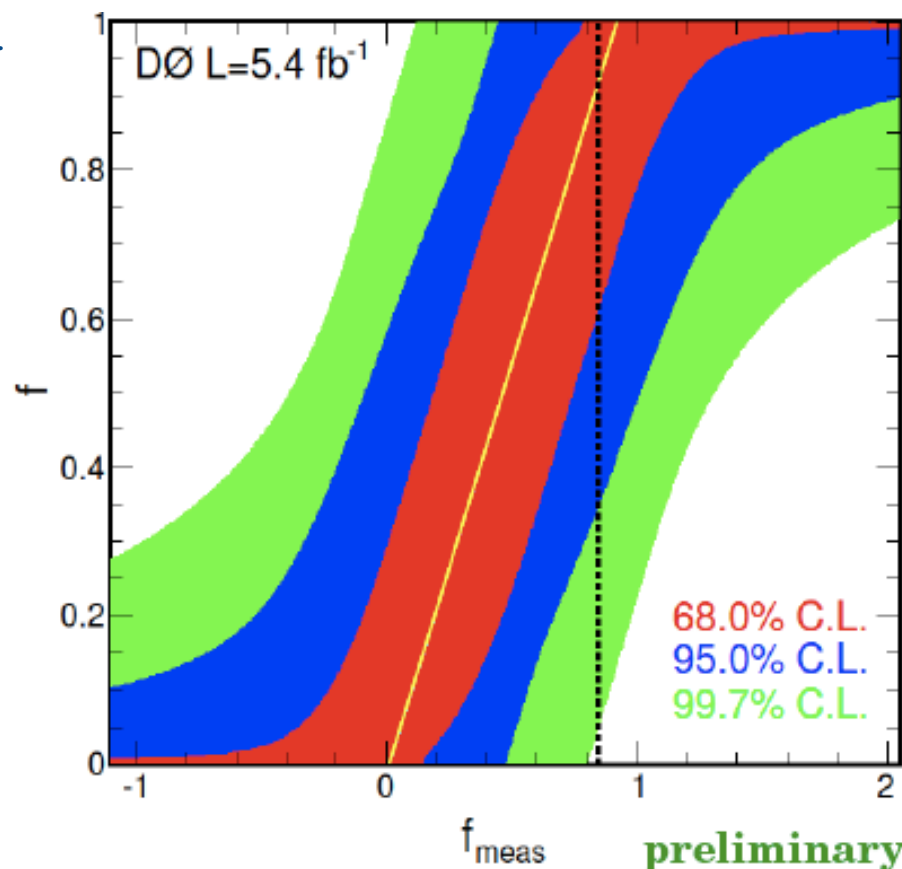
- H=1: correlated spins
- H=0: uncorrelated spins
- Perform measurement:
 - Dilepton channel
 - mc@nlo generator
 - dataset as 2 slides ago
- Use binned LH fit with nuisance parameters

- We obtain:

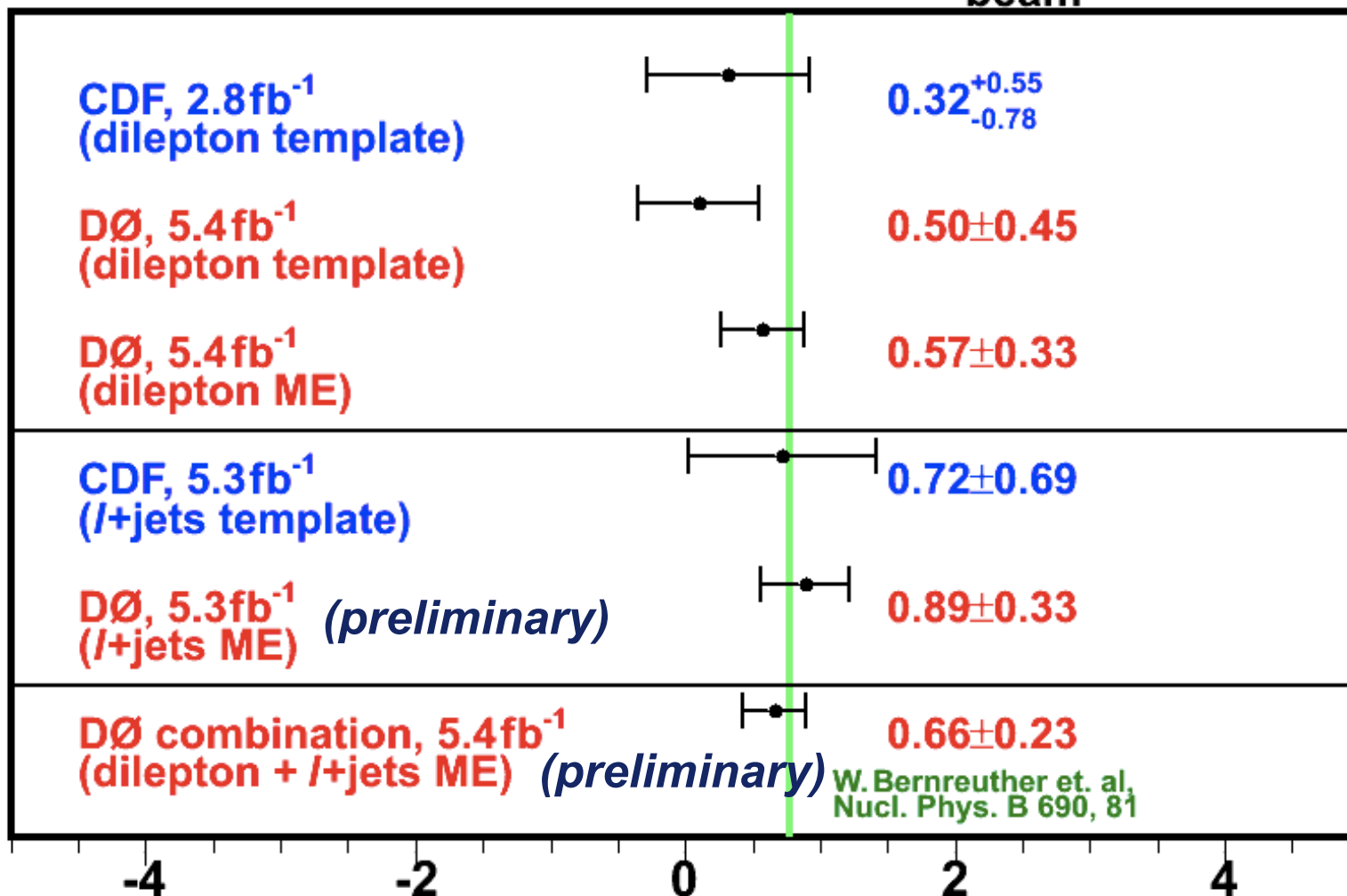
- $f = 0.74 \pm 0.41$ (stat+syst)
- $f > 0.14$ @ 95% CL
- $f=0$ excluded at 97.7% CL (99.6% exp.)
 - 30% more sensitivity!
 - But still statistically dominated (0.27)



- Straight forward to extend the lepton+jets channel:
 - Same ME, mc@nlo as generator
 - Split in 4 and 4+ jet bins
 - Require two b-tags to reduce combinatorics (+ purity 90%)
 - Regard the other two highest p_T jets as light jets
 - \rightarrow four permutations
- Combine with dilepton result:
 - $f = 0.85 \pm 0.29$ (stat+syst)
 - $f < 0.34$ @ 95% CL
 - $f < 0.05$ @ 99.7% CL
 - $f = 0$ @ 3.1 SD !!!
 - First evidence for non-vanishing spin correlations!



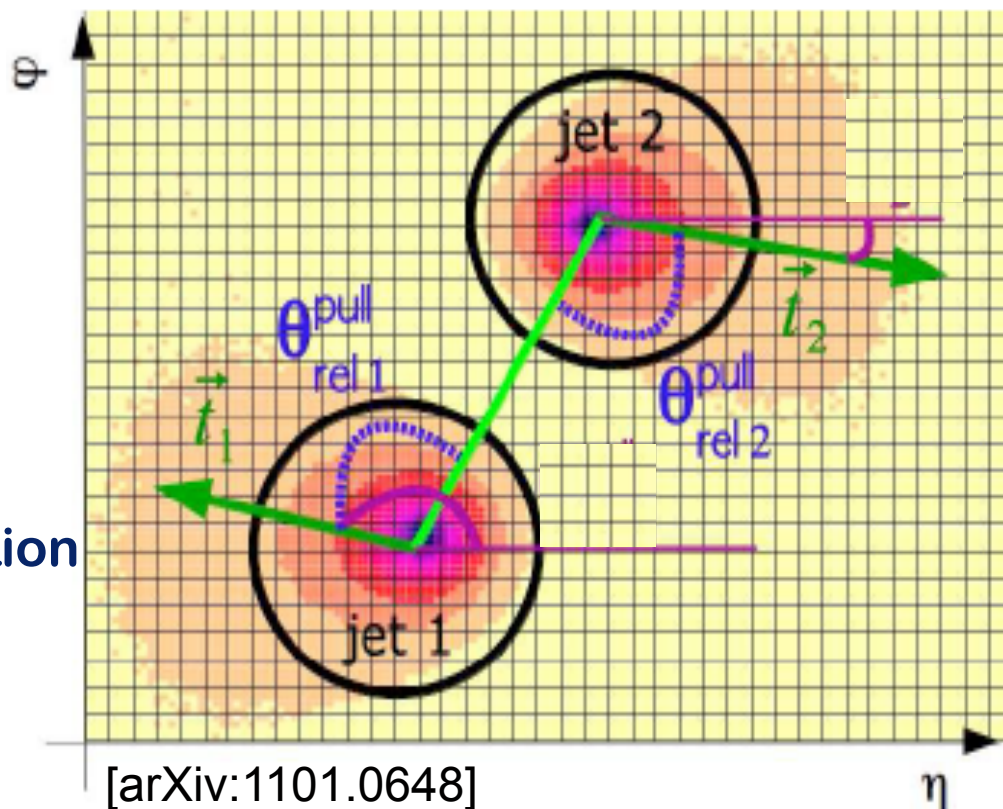
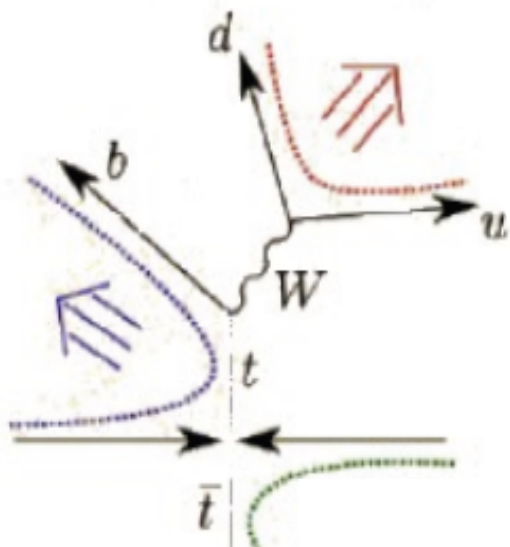
$t\bar{t}$ spin correlations C_{beam}





- Use colour-connections as selection tool
 - $H \rightarrow b\bar{b}$: colour singlet, $g \rightarrow b\bar{b}$: colour octet
 - tt events provide clean samples of **bosons (colour-singlet)** and **b-jets (colour-octet)**

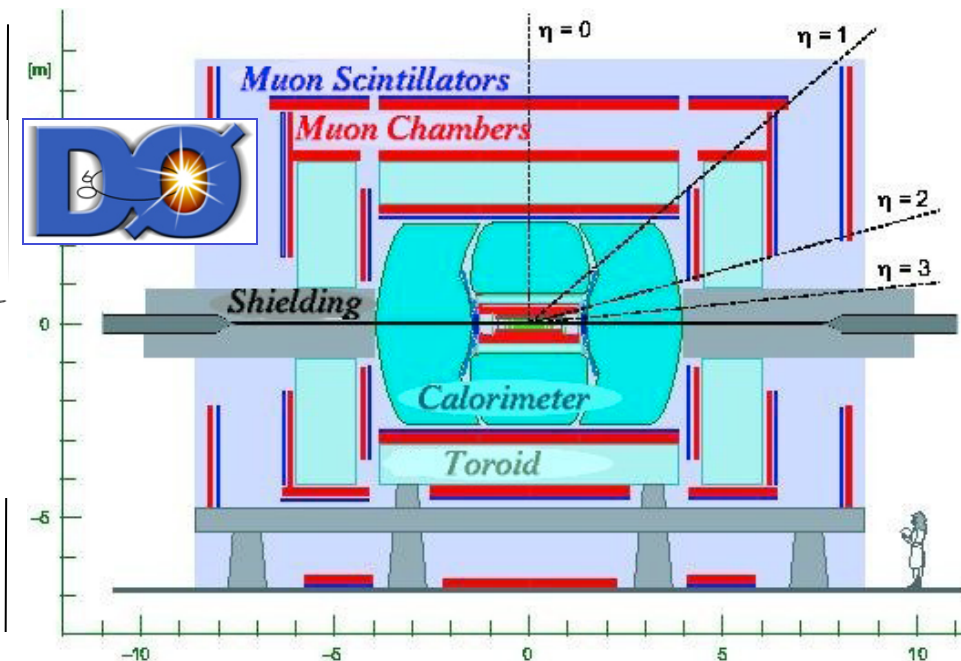
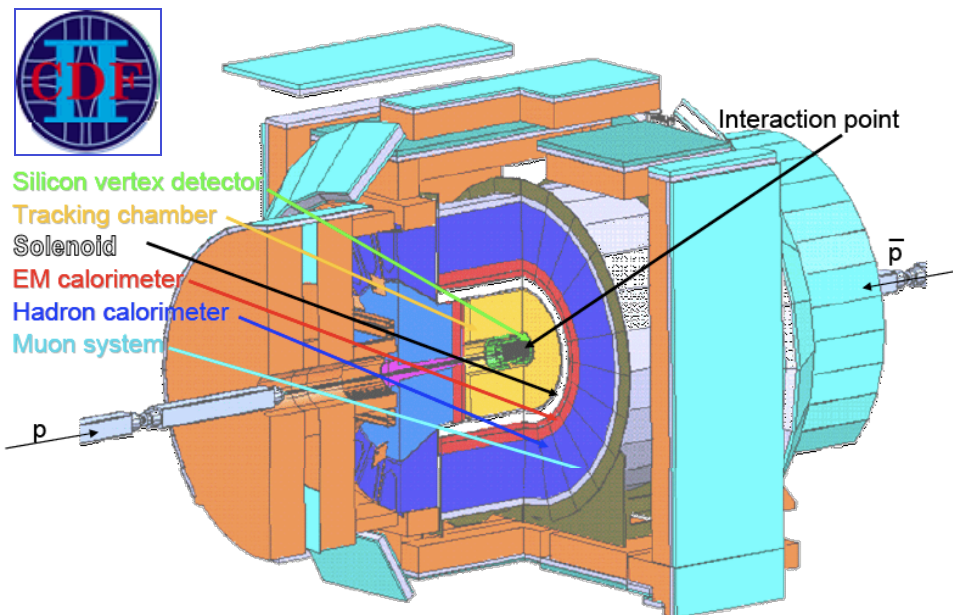
W



Fraction of W in singlet configuration

$$f_{\text{Singlet}} = 0.56 \pm 0.42$$

$$f_{\text{Singlet}} = 1 \text{ (SM)}$$



	CDF	DØ
EM calorimeter	14%/√E + 1%	22%/√E + 4%
Hadronic calorimeter	70%/√E + 5%	68%/√E + 5%

- 24 Feb. 1995:

- Simultaneous PRL submission by CDF and DØ



- CDF (67 pb^{-1}):

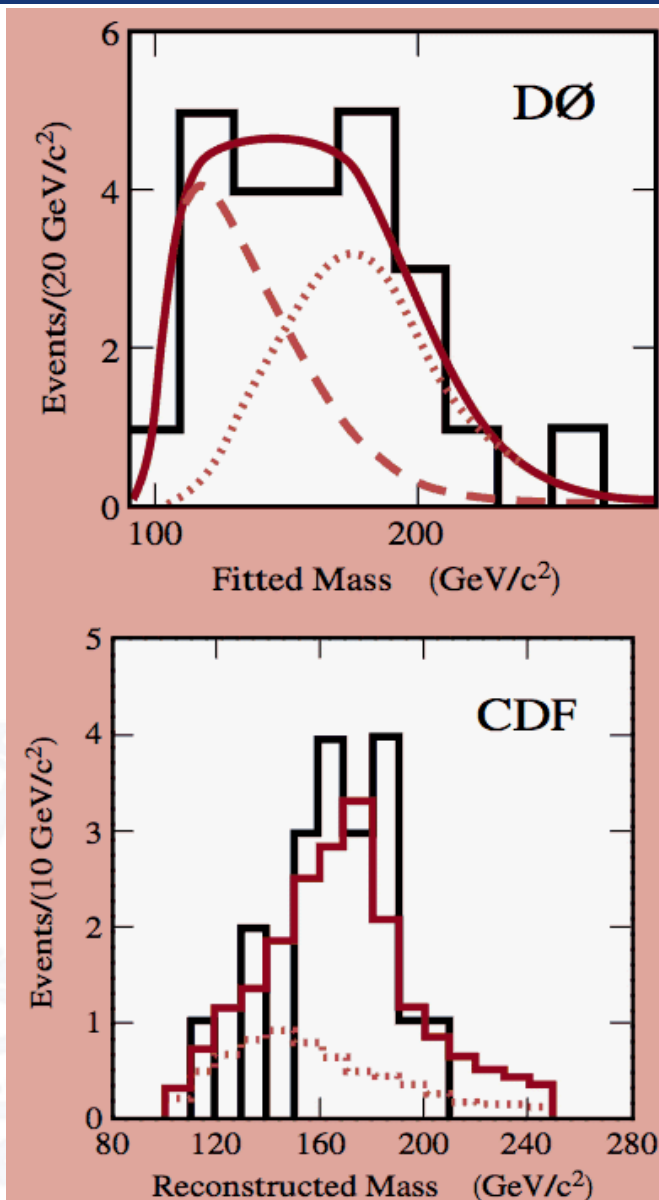
- $\sigma = 6.8^{+3.6}_{-2.4} \text{ pb}$,
- observed 19 events, expected 6.9 bkg
 - bkg-only hypothesis rejected at 4.8σ
- $m_{\text{top}} = 176 \pm 13 \text{ GeV}$

- DØ (50 pb^{-1}):

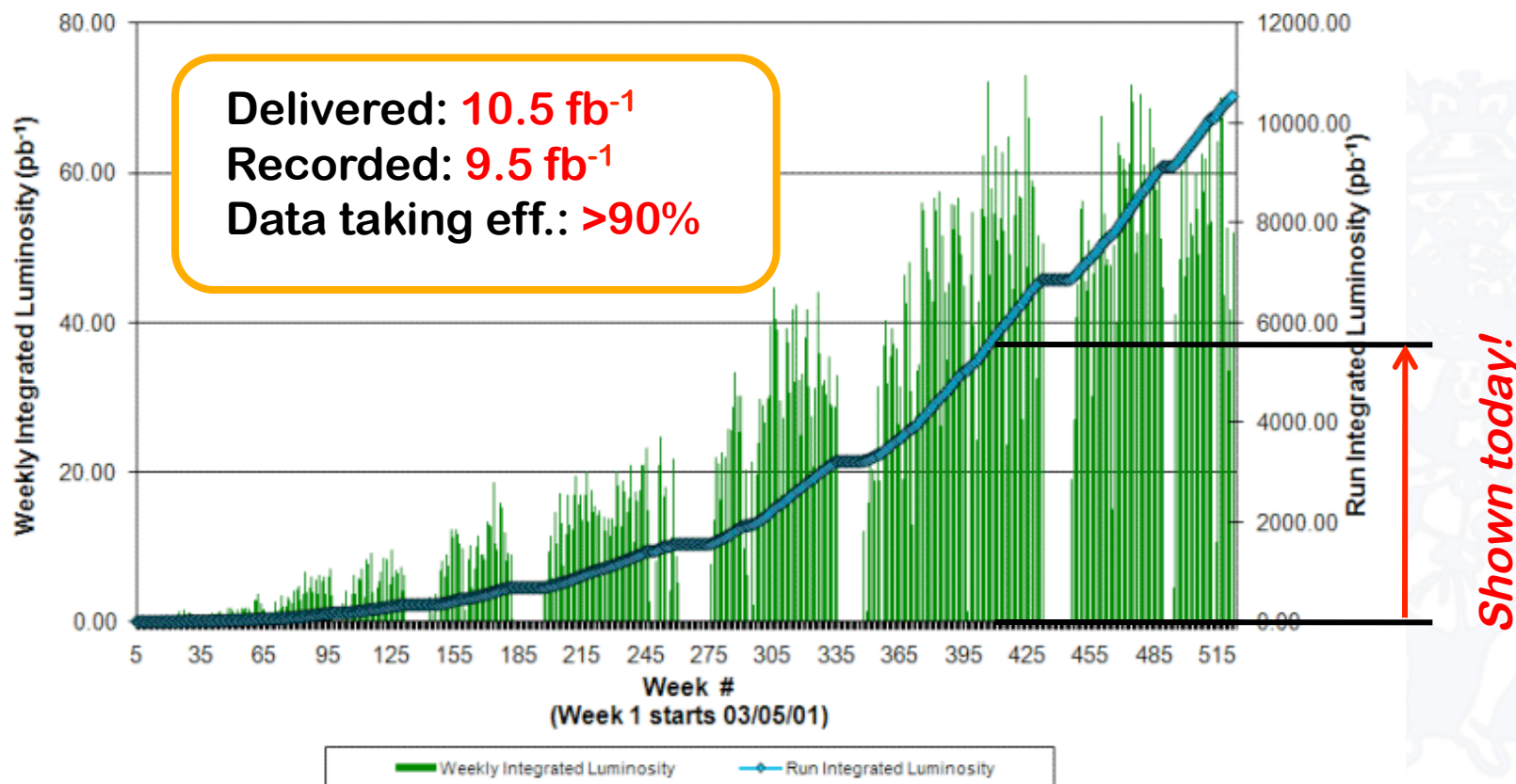
- $\sigma = 6.4 \pm 2.2 \text{ pb}$,
- observed 17 events, expected 3.8 bkg
 - \rightarrow bkg-only hypothesis rejected at 4.6σ
- $m_{\text{top}} = 199 \pm 30 \text{ GeV}$



- **24 Feb. 1995:**
 - Simultaneous PRL submission by CDF and DØ
- **CDF (67 pb^{-1}):**
 - $\sigma = 6.8^{+3.6}_{-2.4} \text{ pb}$,
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 - **$m_{\text{top}} = 176 \pm 13 \text{ GeV}$**
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 - **$m_{\text{top}} = 199 \pm 30 \text{ GeV}$**

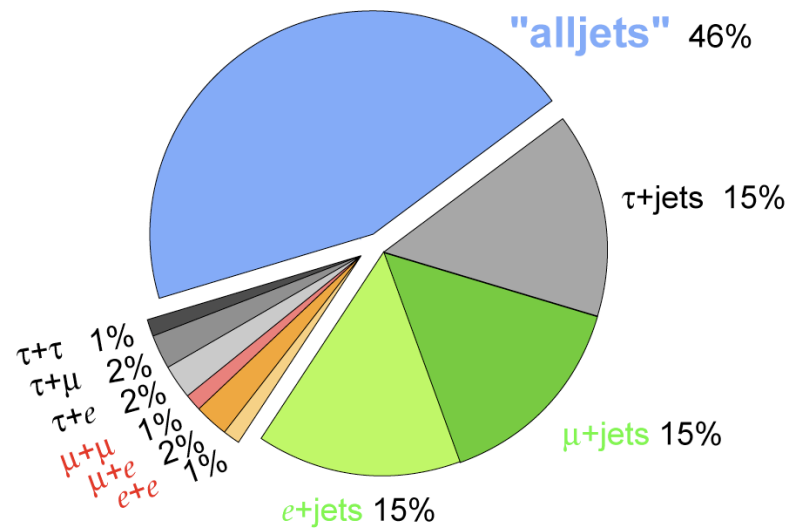


- Tevatron has shown a great performance in FY 2010!
- We keep enlarging our calibration samples
 - Better handles on experimental uncertainties:
 - e.g. Jet Energy Scale (JES), Jet Energy Resolution, etc.



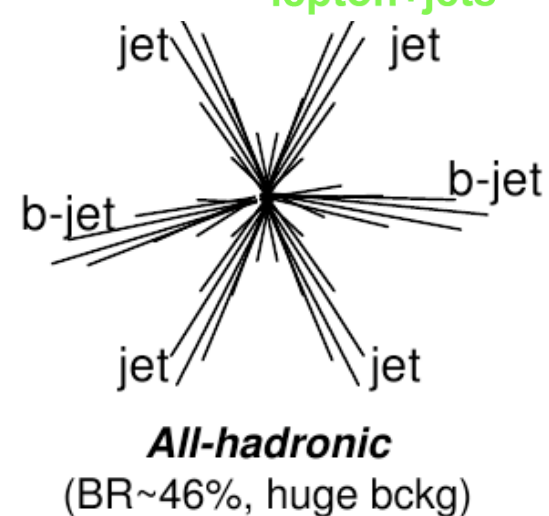
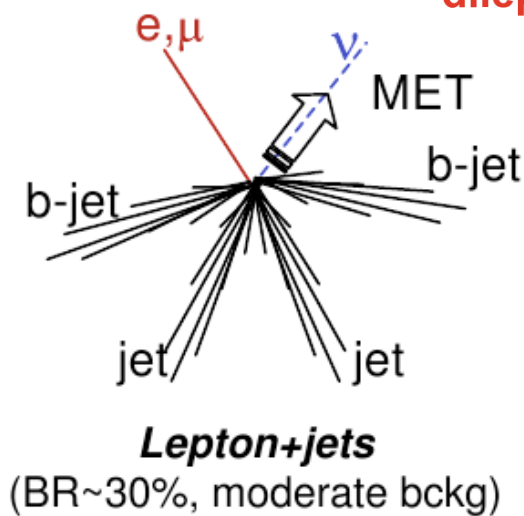
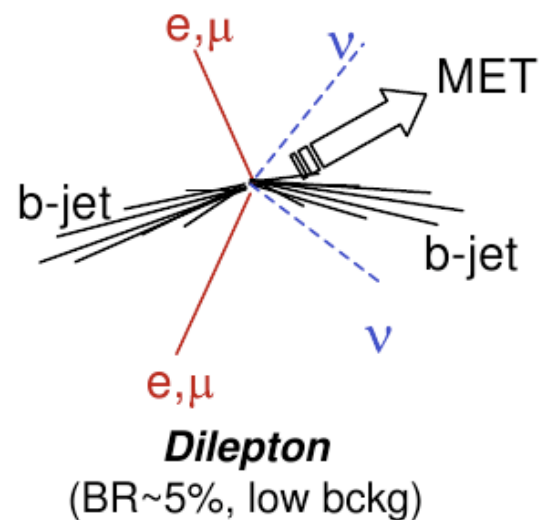
- In the SM:
 - $|V_{tb}| = 0.9990-0.9992$
@ 95% C.L. assuming
3 CKM generations
- Characterise $t\bar{t}$ final states by top decays!

Top Pair Branching Fractions

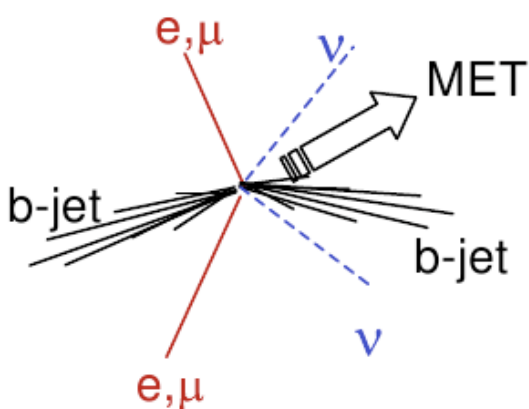


"dileptons"

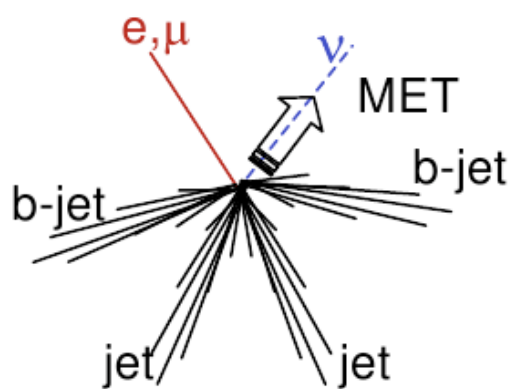
"lepton+jets"



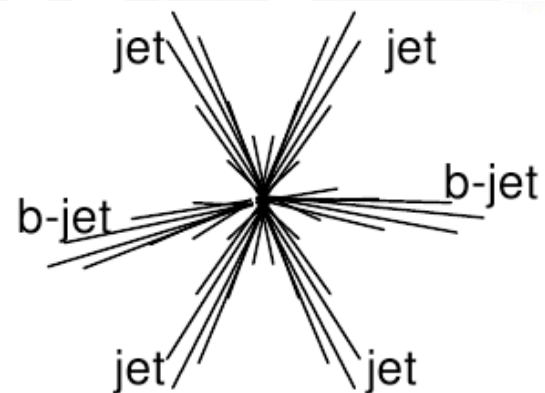
Dilepton	Lepton+jets	All-hadronic
2 high- p_T leptons	1 high- p_T lepton (>20 GeV)	No leptons
Missing E_T	Missing E_T (>40 GeV)	No missing E_T
2 jets	4 jets (> 20 GeV)	6 jets
≥ 0 b-tags	≥ 1 b-tag	≥ 1 b-tag
S/B:		



Dilepton
 (BR~5%, low bckg)



Lepton+jets
 (BR~30%, moderate bckg)



All-hadronic
 (BR~46%, huge bckg)

- We are interested in **parton-level quantities** for our top measurements
 - Map the energies of reco-level jets particle jets (D0) / partons (CDF)
 - This is referred to as a Energy Scale (JES) corr'n
 - With the current size of samples:
 - $s(\text{JES})/\text{JES} \sim 1.5\%$ (D0)
 - $s(\text{JES})/\text{JES} \sim 3\%$ (CDF)
- And many more:
 - Lepton ID, p_T scale

