

The SUSY lepton-flavor portal: at dedicated CLFV experiments and the LHC

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Technion

OUTLINE

- Introduction
- Lessons from dedicated CLFV experiments:
concrete models with CLFV
- Lessons from LHC
- CLFV signatures at LHC:
 - meta stable charged slepton NLSP
 - neutralino LSP

1st order: Flavor measurements and challenges

0th order: Flavor and searches

CLFV and NEW PHYSICS

charged leptons masses: $0.0003 : 0.06 : 1$

? new physics---underlying theory of flavor

[leptons mixings: not that strange on their own]

+ quark masses and mixings

this new (flavor) physics: any scale:

eg Froggatt-Nielsen, seesaw

if high scale: not directly testable

CLFV and NEW PHYSICS

→ observable CLFV: NEW PHYSICS at low scales:

new fields:

couplings to leptons

generation dependence

“low” mass around TeV *

* haven't said a word about EWSB

CLFV and NEW PHYSICS

→ observable CLFV: NEW PHYSICS at low scales:

new fields:

**FLAVOR
PORTAL**

couplings to leptons

generation dependence

“low mass” around TeV

if measure generation-dependent couplings

generation-dependent masses:

→ extra handles on NEW (flavor) PHYSICS

Possible TeV Flavor Portals

- more fields with SM generation structure
SUSY, extra-dims

or:

- new states with LFV couplings
 Z' , Higgs, extended Higgs

Possible TeV Flavor Portals

- odd under some new parity:
Rp SUSY, KKp Extra-dims..
affect dedicated CLFV expts at loop level
pair produced in colliders
- no new parity:
can affect dedicated CLFV expts at tree level
potentially: single particle production in
colliders

CLFV and NEW PHYSICS

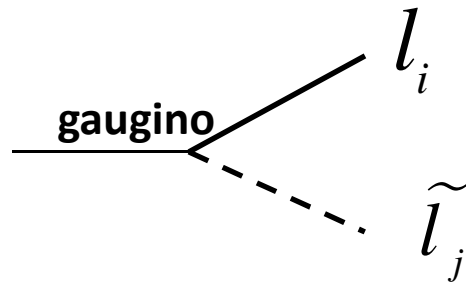
concrete example in this talk:
SUPERSYMMETRY

CLFV in SUSY: relevant parameters:

- **sleptons:** R, L

$$\tilde{l}_1, \dots, \tilde{l}_6 : m_1, \dots, m_6$$

- **EWK gauginos:** with mixings



A Feynman diagram illustrating a vertex where a gaugino (represented by a solid line) splits into two particles: a lepton l_i (represented by a solid line) and a selectron \tilde{l}_j (represented by a dashed line). The vertex is labeled "gaugino".

$$\propto K_{ij} \quad i \neq j$$

[squarks, gluinos: LHC production only]

relevant parameters:
radiative decays, lepton flavor conversion

$$\begin{array}{ll}
 \begin{array}{c} \delta_{23}^{RR} \quad \tilde{\tau}_R \quad \delta_{33}^{LR} \\ \tilde{\mu}_R \quad \tilde{\tau}_L \\ \mu_R \quad \tilde{B}^0 \quad \tau_L \end{array} & \frac{m_\tau}{m_\mu} \frac{\partial \mathcal{A}_\mu^a}{\partial \ln m_{\tilde{\mu}_R}^2} \delta_{23}^{RR} \\
 \begin{array}{c} \delta_{23}^{RR} \quad \tilde{\tau}_R \\ \tilde{\mu}_R \quad \tilde{\tau}_R \\ \mu_R \quad \tilde{B}^0 \quad \tilde{H}^0 \quad \tau_L \end{array} & \frac{m_\tau}{m_\mu} \frac{\partial \mathcal{A}_\mu^b}{\partial \ln m_{\tilde{\mu}_R}^2} \delta_{23}^{RR} \\
 \begin{array}{c} \delta_{23}^{LL} \quad \tilde{\tau}_L \\ \tilde{\mu}_L \quad \tilde{\tau}_L \\ \mu_L \quad \tilde{W}^0 \quad \tilde{H}^0 \quad \tau_R \end{array} & \frac{m_\tau}{m_\mu} \frac{\partial \mathcal{A}_\mu^d}{\partial \ln m_{\tilde{\mu}_L}^2} \delta_{23}^{LL} \\
 \begin{array}{c} \delta_{23}^{RL} \quad \tilde{\tau}_L \\ \tilde{\mu}_R \quad \tilde{\tau}_L \\ \mu_R \quad \tilde{B}^0 \quad \tau_L \end{array} & \mathcal{A}_\mu^a \frac{1}{\delta_{22}^{LR}} \delta_{23}^{RL}
 \end{array}
 \quad
 \begin{array}{ll}
 \begin{array}{c} \delta_{23}^{LL} \quad \tilde{\tau}_L \quad \delta_{33}^{RL} \\ \tilde{\mu}_L \quad \tilde{\tau}_R \\ \mu_L \quad \tilde{B}^0 \quad \tau_R \end{array} & \frac{m_\tau}{m_\mu} \frac{\partial \mathcal{A}_\mu^a}{\partial \ln m_{\tilde{\mu}_L}^2} \delta_{23}^{LL} \\
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 \begin{array}{c} \delta_{23}^{LR} \quad \tilde{\tau}_R \\ \tilde{\mu}_L \quad \tilde{\tau}_R \\ \mu_L \quad \tilde{B}^0 \quad \tau_R \end{array} & \mathcal{A}_\mu^a \frac{1}{\delta_{22}^{LR}} \delta_{23}^{LR}, \quad (20)
 \end{array}$$

gaugino masses and composition:

light/heavy Higgsinos [mu term]

R-sleptons: only couple to bino, Higgsino

relevant parameters: LHC

—————
—————
————— squarks
————— gluino

“only” affect production cross-section

—————
————— EWK
————— gauginos
—————
————— sleptons
—————

gaugino masses and composition:

light/heavy Higgsinos, μ term

R-sleptons: only couple to bino, Higgsino:

→ small Br's

also: orderings among sleptons, gauginos

❖ neutralino LSP or slepton NLSP

CLFV in SUSY

dedicated CLFV expts essentially constrain:

$$\frac{1}{m^2} \frac{\Delta m_{ij}^2}{m^2} K_{ij}$$

- for relative mass splittings, mixings 10%
currently probe masses around the TeV

SUSY Flavor Assumptions

traditionally (theory+pre LHC):

- physics of EWSB (fine tuning)
 - scale set by fine tuning: colored particles especially stops below TeV
- sleptons from strong production + cascade decays (since lighter in virtually all models)

SUSY Flavor Assumptions

- Flavor-blind or Minimally Flavor Violating (MFV)

really the case in GMSB, gMSB, AMSB

ansatz in mSUGRA CMSSM

→ underlying assumptions in many searches:

1st, 2nd generations degenerate; no mixing

but **overkill: CONCRETE, calculable models with CLFV potentially observable**

and there are neutrinos too:

neutrino mixing: in many frameworks

→ large (L) slepton mixing

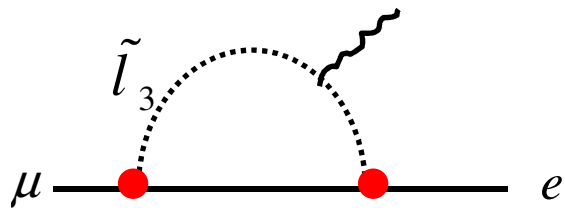
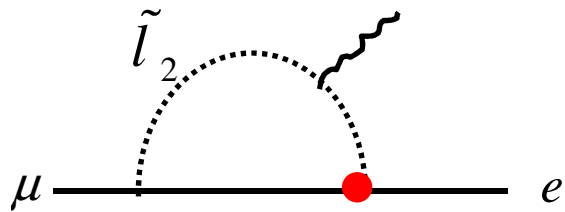
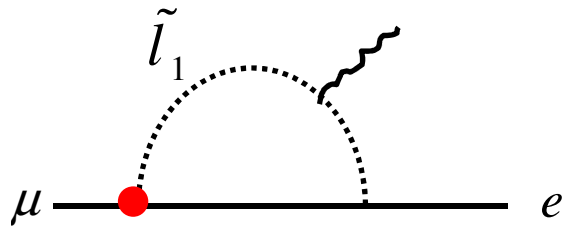
cMSSM + seesaw

pure alignment with Abelian flavor symm

high-scale GMSB with RGE effects above
messenger scale

high-scale GMSB + seesaw messengers

Suppressing SUSY CLFV (a model building guide)



essentially constrains:

$$\delta_{ij} = \frac{\Delta m_{ij}^2 K_{ij}}{m^2}$$

Suppressing SUSY CLFV (0th order)

3 obvious approaches:

$$\delta_{ij} = \frac{\Delta m_{ij}^2 K_{ij}}{m^2}$$

or
combination

1. degeneracy:
slepton mass matrix
proportional to
identity

2. alignment:
slepton mass matrix “aligned”
with lepton mass matrix:
approximately diagonal Nir Seiberg

3. all sleptons or just 1st, 2nd generations heavy

Effective SUSY Cohen Kaplan Nelson; Dvali Pomarol 96
aka Natural SUSY Brust Katz Lawrence Sundrum ...

not observable at LHC

unfortunately: already taken care of by Nature ..

models with combination of degeneracy and alignment

- Hybrid models: GMSB + Planck suppressed contributions

Feng Lester Nir YS

(high scales only)

- AMSB + Planck suppressed contributions

(high scales only)

Gross-Hiller

- Flavored Gauge Mediation: GMSB with matter-messenger couplings

YS Szabo

(also important for Higgs mass) Abdullah Galon YS Shirman

quark flavor: Calibbi Paradisi Ziegler

$$m_{slepton}^2 = \text{GMSB} + \text{something else}$$

$$\# \left(\frac{\alpha}{4\pi} \right)^2 \left(\frac{F}{M_{mess}} \right)^2 \begin{pmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

- **Hybrid models:** SUB-DOMINANT Planck suppressed operators: in principle arbitrary texture: but aligned with SM Yukawa

- **Flavored Gauge Mediation:** contribution of messenger-lepton coupling (analog of SM Yukawa); new coupling aligned with SM Yukawa (**fully calculable in terms of new coupling** → signs known)

$$m_{slepton}^2 = \text{GMSB} + \text{something else}$$

$$\# \left(\frac{\alpha}{4\pi} \right)^2 \left(\frac{F}{M_{mess}} \right)^2 \begin{pmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

- **Hybrid models:** Planck suppressed operators: in principle arbitrary texture: but aligned with SM Yukawa
- **Flavored Gauge Mediation:** contribution of messenger-lepton coupling (analog of SM Yukawa); fully calculable; new coupling aligned with SM Yukawa

FN Flavor symmetry (fermion masses)
up to order-1 coeffs

- **Hybrid models:** soft terms controlled by flavor symmetry
(as in original alignment)
high scale

- **Flavored Gauge Mediation:**
new (superpotential) couplings controlled by flavor
symmetry
high or low scales

Suppressing SUSY CLFV (beyond 0th order)

- loops involve EW gauginos:
→ make (some) EW gauginos heavy
(with sleptons still light)

R-symmetric models (Dirac gauginos)

Kribs Poppitz Weiner

Fox Nelson Weiner

Suppressing SUSY CLFV

(beyond 0th order)

- radiative decays require chirality flip:
in bino diagrams: on slepton line
→ make A-terms small

pure GMSB

Flavorful SUSY (relies on extra dim)

Nomura Stolarski

Higgsophobic supersymmetry breaking

R-symmetric models (A terms forbidden)

otherwise: chirality flip on gaugino line

→ make gauginos Dirac R-symmetric

CLFV expts implications

(a rough model building guide)

- generic feature of models above:
 small LR mixings (small A terms)
- main bounds on LL, RR
- for model guidelines: *overall picture*: instructive to state bounds parametrically in terms of flavor spurion
 $\lambda \sim 0.1\text{--}0.2$

[O(1) not determined by models; bounds vary over parameter space]

- scale with overall soft-mass

$$\delta \sim \tilde{m}^2 \sqrt{Br}$$

Process	Present Bounds
$\text{BR}(\mu \rightarrow e \gamma)$	1.2×10^{-11}
$\text{BR}(\mu \rightarrow e e e)$	1.1×10^{-12}
$\text{BR}(\mu \rightarrow e \text{ in Nuclei (Ti)})$	1.1×10^{-12}
$\text{BR}(\tau \rightarrow e \gamma)$	1.1×10^{-7}
$\text{BR}(\tau \rightarrow e e e)$	2.7×10^{-7}
$\text{BR}(\tau \rightarrow e \mu \mu)$	$2. \times 10^{-7}$
$\text{BR}(\tau \rightarrow \mu \gamma)$	6.8×10^{-8}
$\text{BR}(\tau \rightarrow \mu \mu \mu)$	2×10^{-7}
$\text{BR}(\tau \rightarrow \mu e e)$	2.4×10^{-7}

MEGA \rightarrow MEG

$$5.7 \cdot 10^{-13}$$

SINDRUM

SINDRUM II

$$7 \cdot 10^{-13}$$

$$3.3 \cdot 10^{-8}$$

BaBar

BELLE

$$4.4 \cdot 10^{-8}$$

Ciuchini Masiero Paradisi Silvestrini Vempati Vives 0702144

Paradisi 0505046

$$\delta_{12}^{LL} \leq \lambda^4$$

$$\delta_{12}^{RR} \leq \lambda^2$$

$$\delta_{23}, \delta_{13} \leq \lambda$$

$$(\delta_{23}^{LL}, \delta_{13}^{LL} \leq \lambda^4)$$

$$\delta_{12}^{LL} \leq \lambda^4 \quad \delta_{12}^{RR} \leq \lambda^2 \quad \delta_{23}, \delta_{13} \leq \lambda$$

$$\delta_{23}^{LL}, \delta_{13}^{LL} \leq \lambda^4$$

Ciuchini Masiero Paradisi Silvestrini Vempati Vives 0702144
 Paradisi 0505046

- main change: factor 5 improvement in delta12 !!
- but: more inputs:
 CMSSM with squarks around 600 GeV
 sleptons 400 GeV
 gauginos below 150 GeV
- still: only care about sleptons, gauginos
 1-2 relative mass splitting **X** mixing below 10^{-4} !!
 and * potentially* observable !

Variety of models:

R-symmetric models:

full analysis of μ -e Fok Kribs

μ to e gamma, μ to eee

* μ to e conversion (no chirality flip)

large selectron-smuon mass splitting

with mixings of 0.1 in most of parameter space

even maximal mixings in some wedges

Flavorful SUSY

Nomura Stolarski

Nomura Papucci Stolarski

mu-e mass splittings: $O(0.01)$

stau: $O(1)$ splittings

fermion masses from 5th dimension

Brummer Fichet Kraml

colored particles above LHC reach, R-sleptons 500 GeV

mass splittings $O(0.2)$ mixings $O(0.1)$

FGM, hybrid (degeneracy + alignment)

- R-sleptons: small mixings:
 - 12, 23 at few percent or below
 - relative mass splittings up to $O(1)$
- L-sleptons:
 - relative mass splitting $O(1)$ with no mixing
 - or: $O(1)$ mixing with negligible splittings
- * in between: mass splittings and mixings of a few percent (LHC study)
- FGM: can be MFV-like: new coupling similar to Yukawa: mass splittings as in MFV but mixings of few percent largest effects naturally on selectron

Moral:

- different classes of concrete models with CLFV
- CLFV can be controlled by structure of model
- often saturating current bounds
- often related to mechanism which generates fermion masses:
- if measured in combination of LHC and low-E experiments: extra handles on underlying flavor theory

main question

low-E LHC interplay:

viable models with observable CLFV at LHC ?

SUSY Lessons from LHC

1. NO SUSY:

[colored particles roughly above 1-1.5 TeV]

? because no SUSY: fine tuning

? because it`s around the corner: some degree of fine tuning

? because searches optimized for wrong models (flavor??)

Lessons from LHC (2)

Higgs! (compatible with SUSY)

but 125 GeV very hard in SUSY

- **MSSM:** generically:

heavy stops → **MFV models:** all squarks heavy

except in tuned corners of parameter space with
tanbeta ~ 50 , large stop mixing

either entire spectrum pushed up

or: large hierarchy between colored, non-colored

stronger than direct searches!!

- large $\mu \rightarrow$ heavy Higgsinos
(affects CLFV constraints+
LHC slepton production)

concrete MSSM models: GMSB:
no A terms \rightarrow no stop mixing (only by RGE)

stops (+ squarks) around 8 TeV

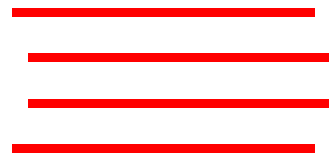
FGM models:

new matter-messenger couplings can generate
top A-term! 2 TeV stops, gluinos
sub-TeV sleptons, EWK gauginos

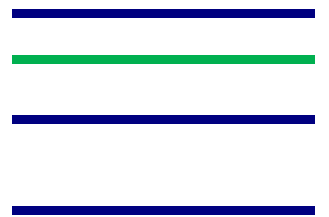
L-sleptons can be lighter than R-sleptons
(driven by new stop contributions)

- or beyond MSSM: modify Higgs couplings
NMSSM (Higgsinos \rightarrow CLFV bounds)

sleptons may be taking center stage:



squarks , gluino



EWK gauginos



sleptons

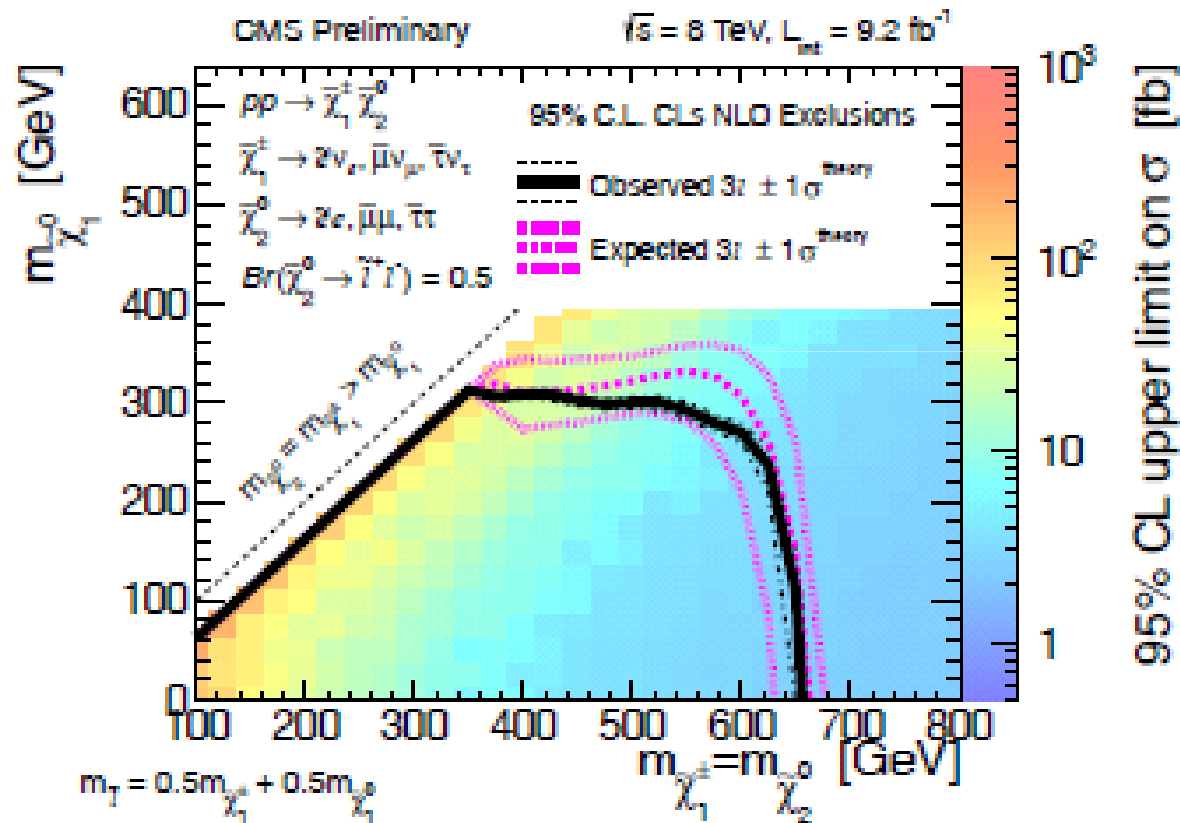
EWK gaugino
pair production

(Drell-Yan)

EWK gaugino production (model independent)

CMS

chargino neutralino production

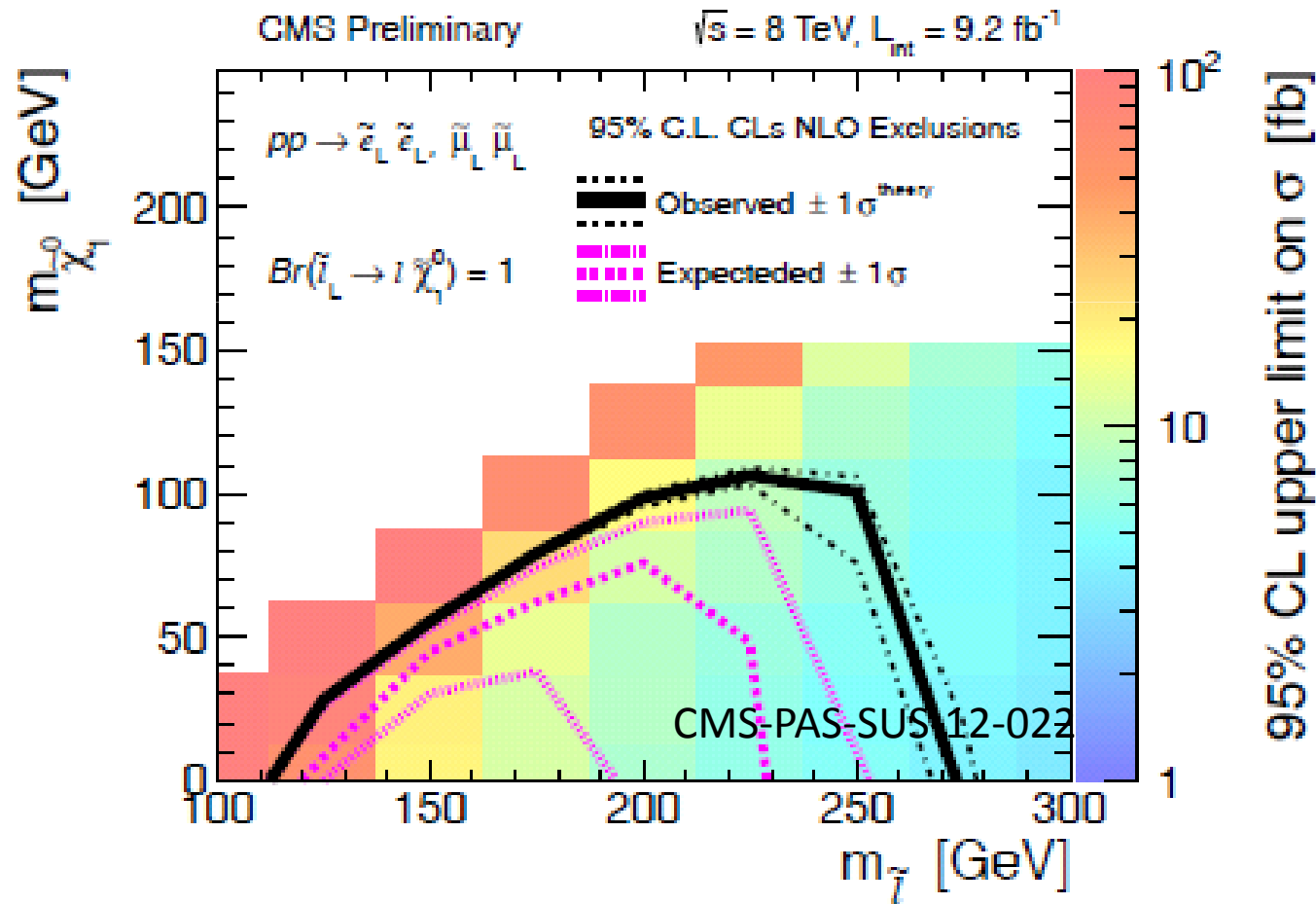


chi1, N2 to 600 GeV
with N1 to 250

sleptons around 400

Drell-Yan production (model independent)

CMS



Can CLFV be observable at LHC?

- neutralino LSP
- charged slepton NLSP

SLEPTON LSP (long-lived)

Charged slepton NLSP

- decays to gravitino: lifetime can be very large: decays outside detector
- NLSP in large parts of GMSB parameter space (messenger pairs >1)
- high scale models too: if gravitino light enough

CLFV at LHC: long-lived sleptons



- (SM) background free
- no missing energy:
 - events fully reconstructible
 - CLFV: each event ends with 2 charged sleptons : mass measured (eg TOF)
 - neutralino decays = flavor analyzer

CLFV case study:

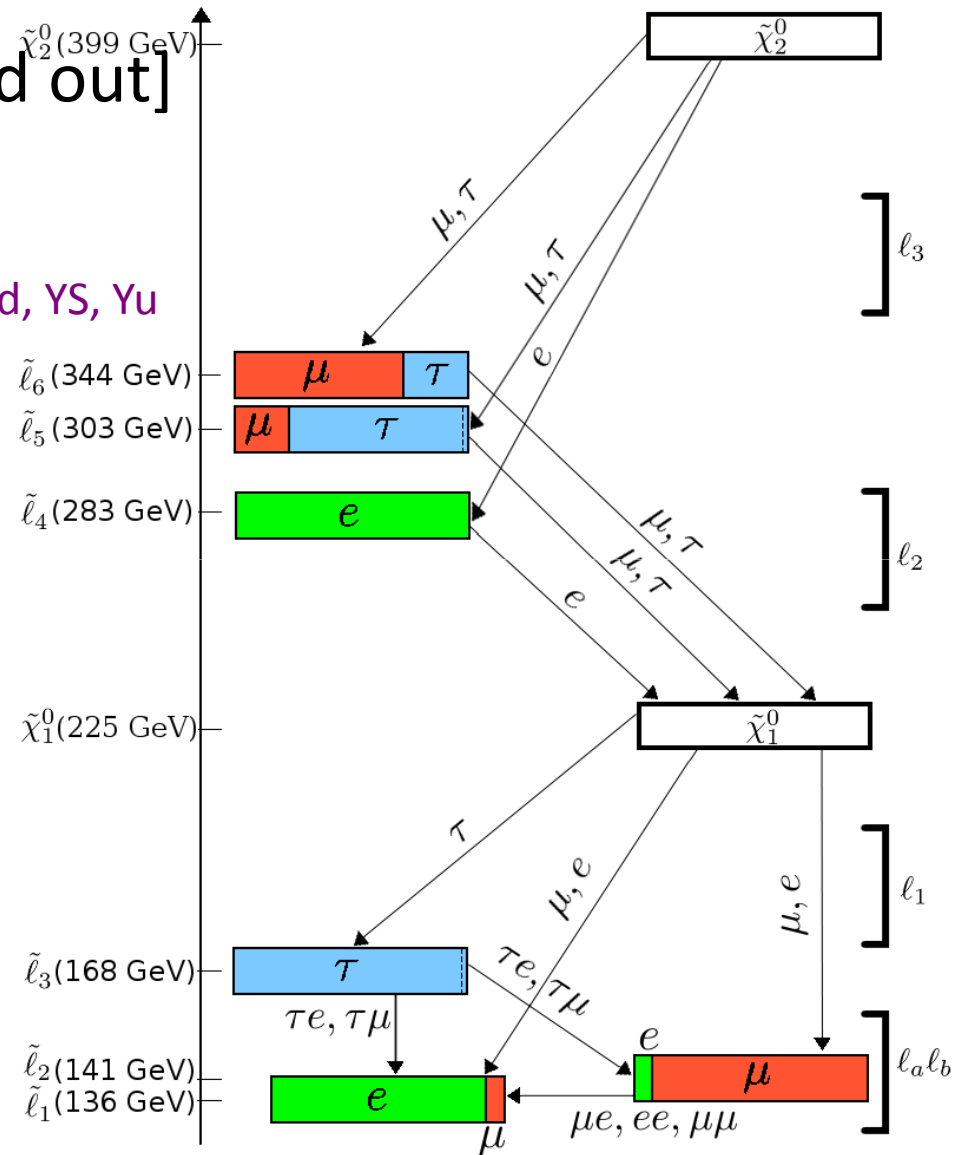
[Illustrative purposes: ruled out]

Feng, French, Lester, Nir, YS

Feng, Galon, Sanford, YS, Yu

Feng, French, Galon, Lester, Nir, Sanford, YS, Yu

- reconstruct masses in stages: bottom-up
- 14 TeV 100 1/fb
- but: too conservative:
NLSP beta < 0.8
(huge drop)
- no tau information
- still very encouraging



one challenging (but very plausible) example:

quasi-degenerate sleptons

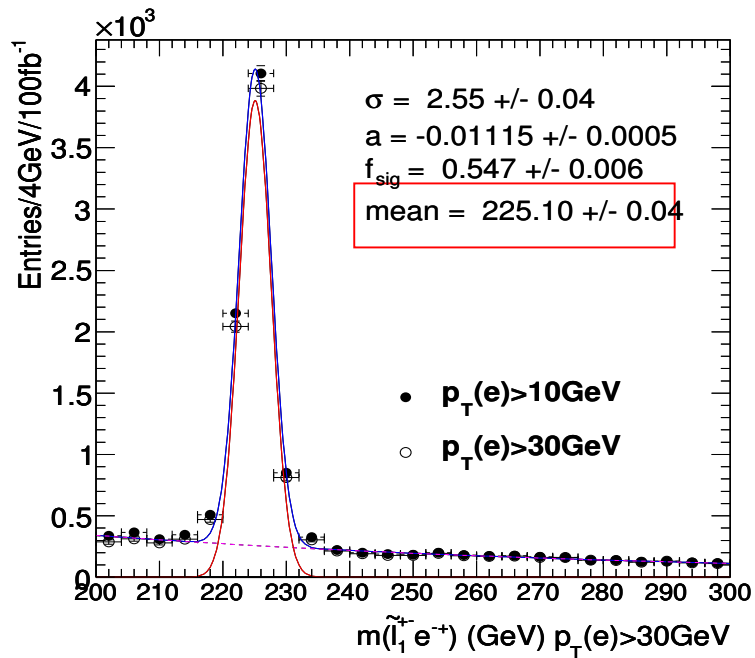
here NLSP = mainly R selectron 136 GeV

next slepton = mainly R muon 141 GeV

with 6% mixing

neutralino at 225 GeV

can we tell that there are 2 distinct slepton states? measure mass difference? mixing?

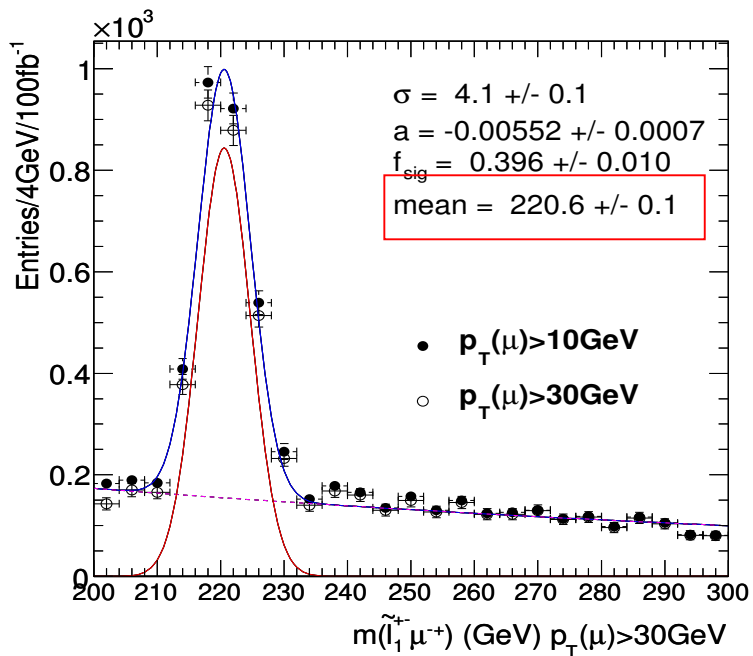


recall: $\tilde{l}_1 \sim \tilde{e}$ (96%)

$\tilde{l}_2 \sim \tilde{\mu}$ (96%)

dominantly $\chi_1^0 \rightarrow \tilde{l}_1 e$
 true neutralino peak

OS

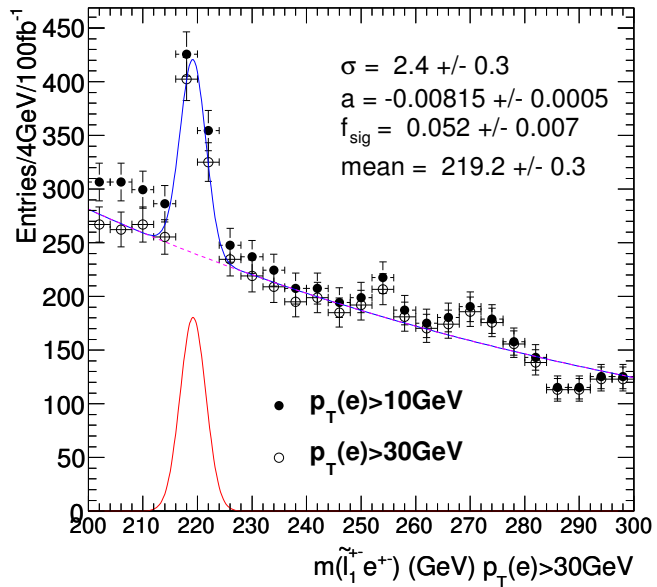


dominantly

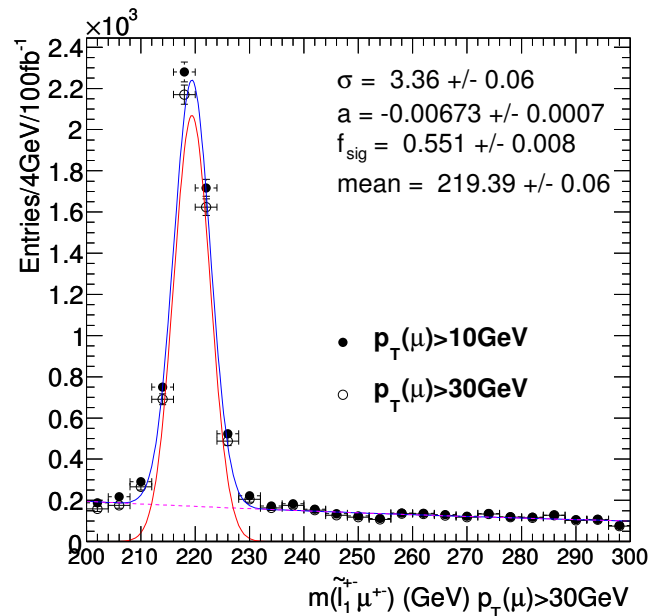
$\chi_1^0 \rightarrow \tilde{l}_2 \mu$

$\rightarrow \tilde{l}_1 \mu + \text{soft leptons}$

shifted neutralino peak



SS



neutralino decays
through slepton2 only:
just shifted peak

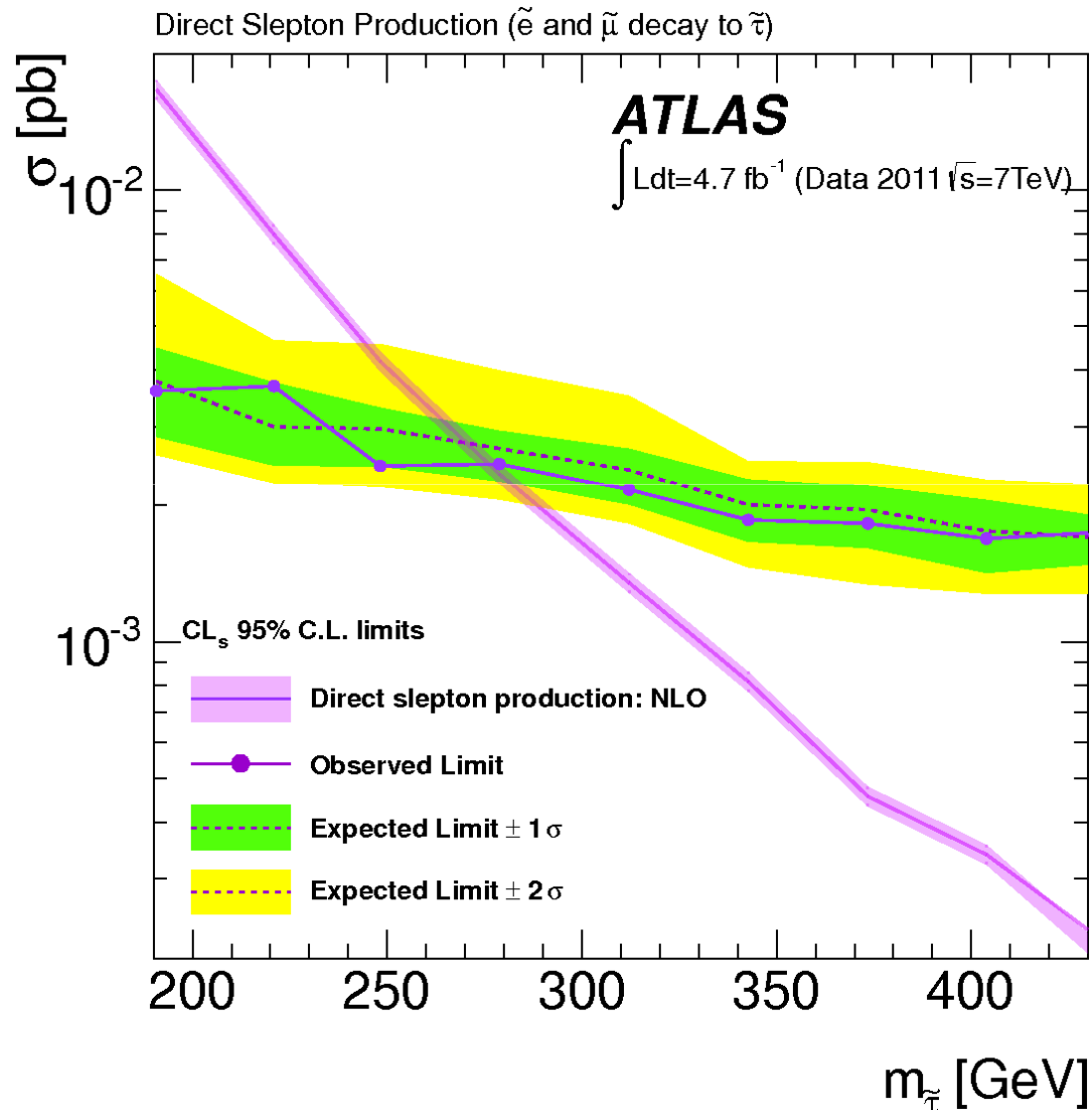
mass difference: from shift in peak
locations (kinematics)

mixing: counting events in each peak

Long Lived Sleptons

- lots of progress on trigger, reconstruction at ATLAS, CMS
- TOF in muon detectors: [Tarem et al](#)
high efficiency for roughly $0.6 < \beta < 0.95$
- for faster ones---typical in cascades: distinguish from muons using mother particle decay (neutralino \rightarrow slepton + lepton) [Galon YS Tarboush Tarem](#)
more relevant for 14 TeV

Long Lived Sleptons: Drell-Yan bound



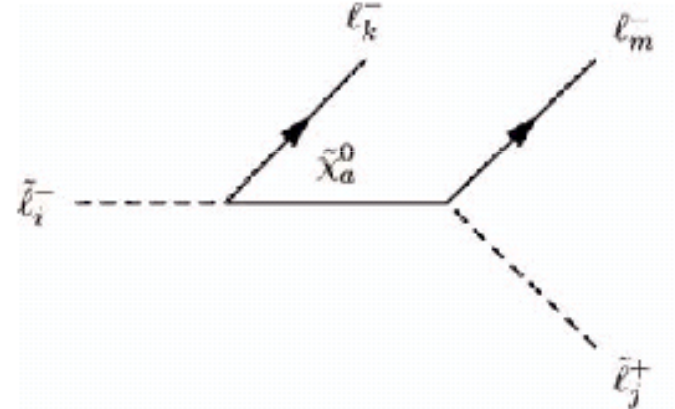
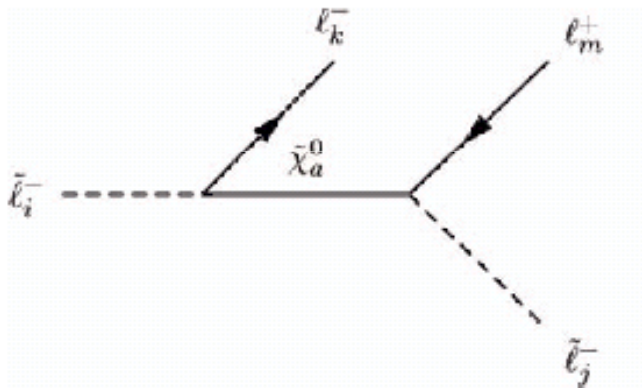
- R-handed sleptons
- higher reach if include gaugino production: but more model dependende

consider extreme case:

just **Drell-Yan production of lightest sleptons (L or R)**

only 3 body decays:

Feng Galon YS Sanford Yu



OS leptons or SS leptons (Majorana neutralino)

LFC: only different flavor leptons: e-tau, e-mu, tau-e

LFV: + same flavor too: ee ..

- mass difference above $\sim 10\text{-}20$ GeV: fairly easy measure masses m_1, m_2 ; mixings?
- mass difference below that:
 - soft leptons (if lightest slepton is stau
LFV helps: e or mu instead of tau)
 - or both long-lived
- statistics may be very limited (low efficiency at very low beta)
- low-E signal (exclusion): important complementary information

Neutralino LSP

missing ET

much more challenging

- 1st order questions: measuring flavor effects:
masses, mixings
- 0th order questions: effects on discovery
as scale goes up: more room for mixings,
relative mass splittings ← dedicated CLFV
expts

effects on discovery:

1. (lepton) counting experiments:

eg look for leptons from neutralino decay

Opposite Sign Same Flavor (OSSF)

assumes Lepton Flavor Conservation

2. special variables: eg kinematic edges

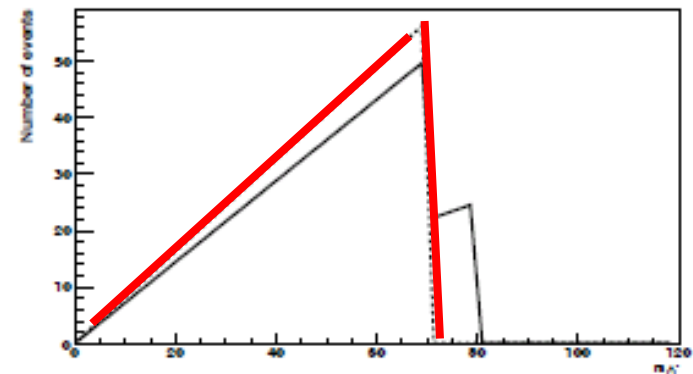
$$\tilde{\chi}_2^0 \rightarrow \tilde{l}^\pm l_j^\mp \rightarrow \tilde{\chi}_1^0 l_j^\mp l_i^\pm.$$

endpoint of dilepton invariant mass:

$$m_{ll}^2|_{\text{endpoint}} = \frac{(m_{\tilde{\chi}_2^0}^2 - m_{\tilde{l}}^2)(m_{\tilde{l}}^2 - m_{\tilde{\chi}_1^0}^2)}{m_{\tilde{l}}^2}.$$

→ triangle shape

and peak in invariant mass distribution:



- important tool for extracting information about superpartner masses:

crucial for flavor measurements!

[often assume excellent resolutions claimed in original (flavor blind) studies below 0.01m]

- but for detection too: peaks over flat background

[eg: Eckel Shepherd Su 2011:

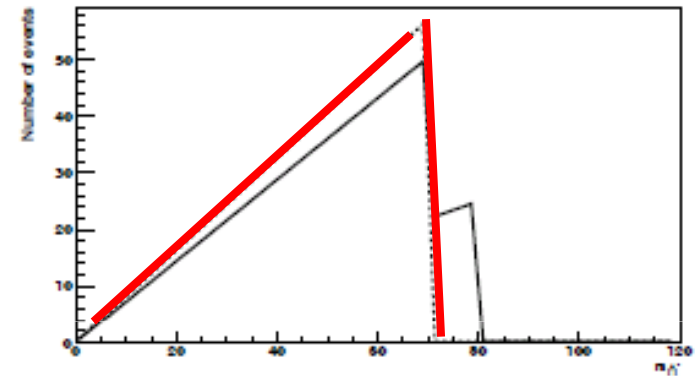
enhance reach for L-sleptons :

~ 600 GeV at 14 TeV at 100 /fb]

$$\tilde{\chi}_2^0 \rightarrow \tilde{l}^\pm l_j^\mp \rightarrow \tilde{\chi}_1^0 l_j^\mp l_i^\pm.$$

slepton= selectron , smuon

$$m_{ll}^2|_{\text{endpoint}} = \frac{(m_{\tilde{\chi}_2^0}^2 - m_{\tilde{l}}^2)(m_{\tilde{l}}^2 - m_{\tilde{\chi}_1^0}^2)}{m_{\tilde{l}}^2}.$$



usual assumption: MFV:

- 1) slepton= smuon: mu mu only
- 2) slepton=selectron: ee only
- 3) selectron, smuon degenerate: same endpoint

→ e-e, mu-mu, distributions identical:
each looks like a single triangle

use flavor-subtracted distribution to reduce bgnd:

$$N_{ee} + N_{\mu\mu} - N_{e\mu} - N_{\mu e}$$

but what if not MFV:

smuon, selectron can have **different masses**

Allanach Conlon Lester
Buras Calibbi Paradisi

LFV: mixing

Galon YS

also: Grossman Martone Robinson: widths

$$\begin{aligned}\tilde{l}_1 &= \cos\theta \tilde{e} - \sin\theta \tilde{\mu} \\ \tilde{l}_2 &= \sin\theta \tilde{e} + \cos\theta \tilde{\mu}\end{aligned}$$

$$m_{\tilde{l}_1} = m_{\tilde{l}}, \quad m_{\tilde{l}_2} = m_{\tilde{l}} + \Delta m_{\tilde{l}}$$

$$e^+ e^-, \mu^+ \mu^-, e^+ \mu^-, \mu^+ e^-$$

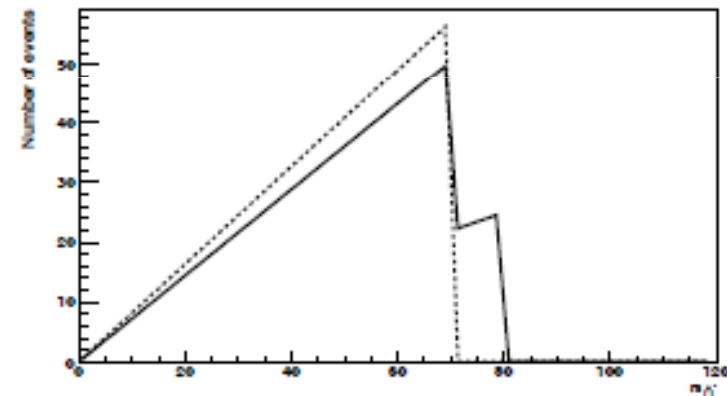
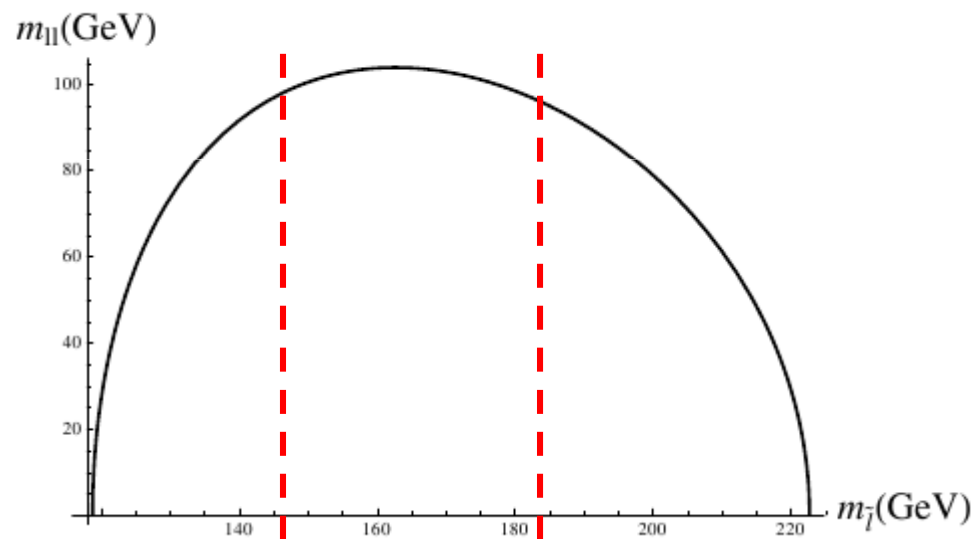


Fig. 1. The l^+l^- invariant mass distribution ($l = e, \mu$) for degenerate sleptons (dashed) and for sleptons of different masses (solid).

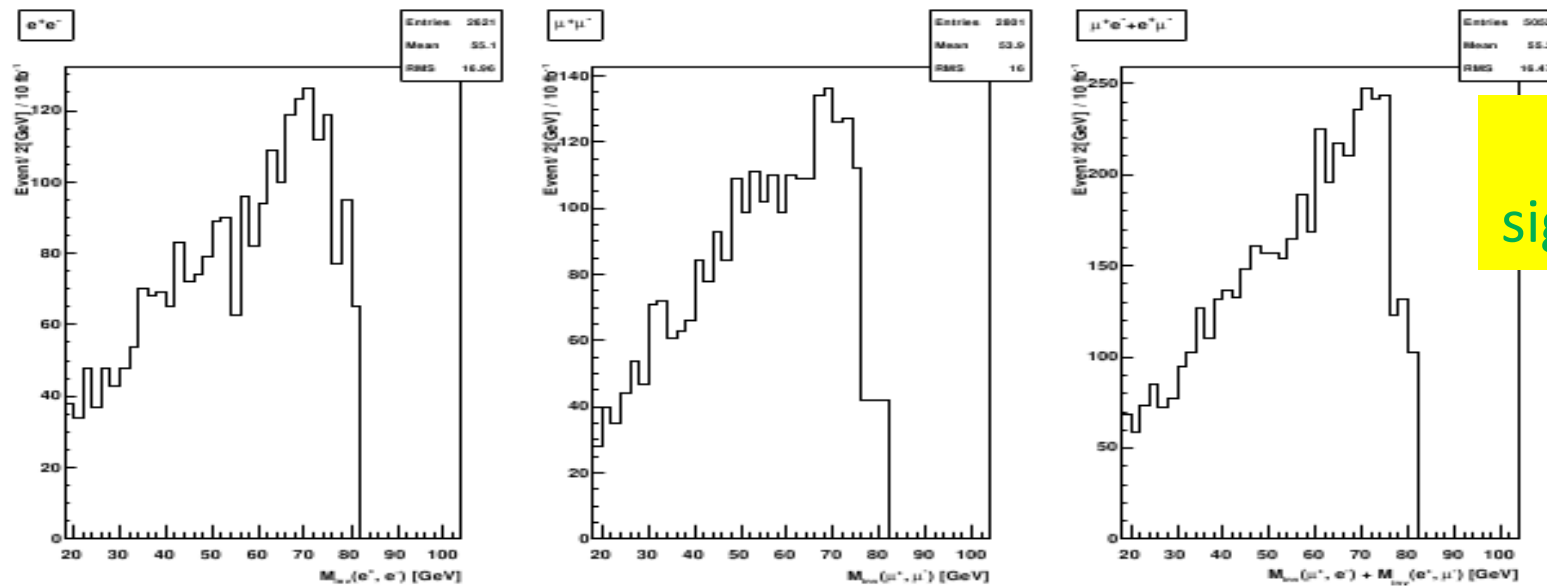
slepton mass splitting can be greatly enhanced
but also reduced in edge splitting:
140 – 185 → less than 5GeV
= optimal region with hard leptons



- large edge splitting: smaller peaks
- LFV: each distribution contains both edges
- in a real detector: fuzzier structure
- cant use flavor subtraction
- example: took SU3 benchmark study:
 [resolution in edge around 1 GeV at 14 TeV
 with 1fb-1]
 deformed R selectron, smuon

slepton1: 131 GeV \rightarrow EP= 76 GeV

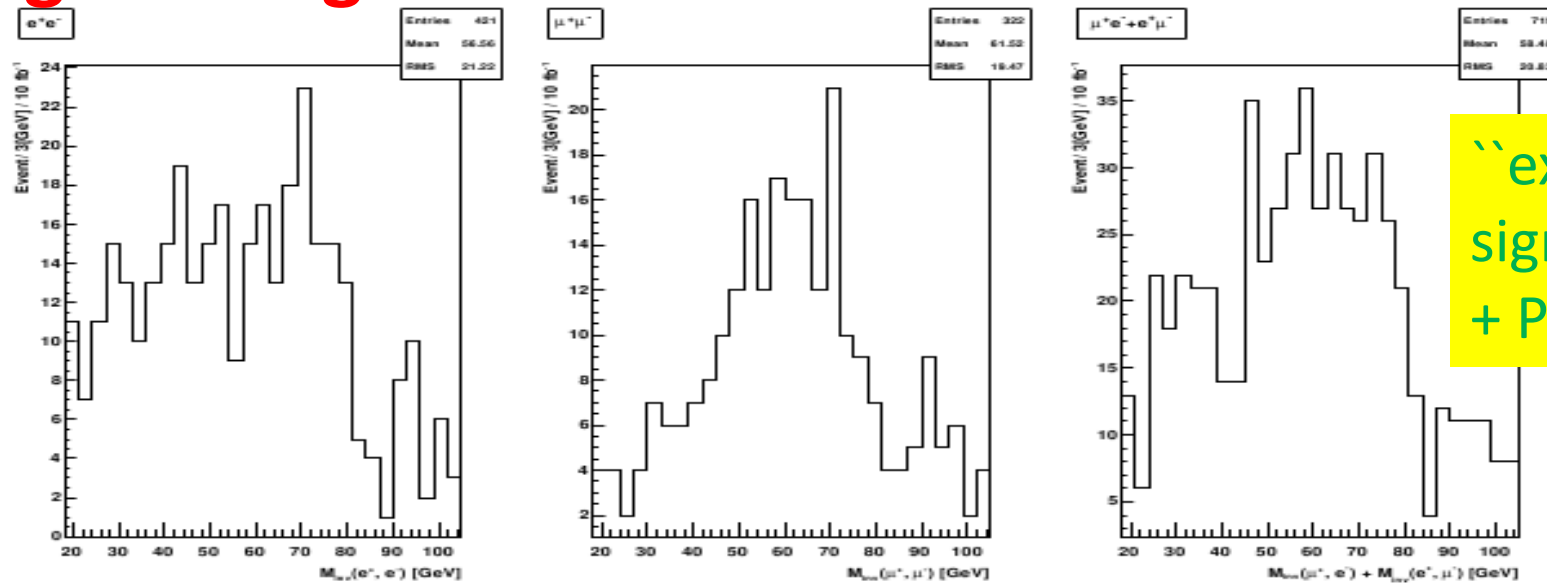
slepton2: 134 GeV \rightarrow EP= 82 GeV



``truth``:
signal only

large mixing

(a) Truth distributions 2 GeV per bin



``exp``:
signal + bgnd
+ PGS

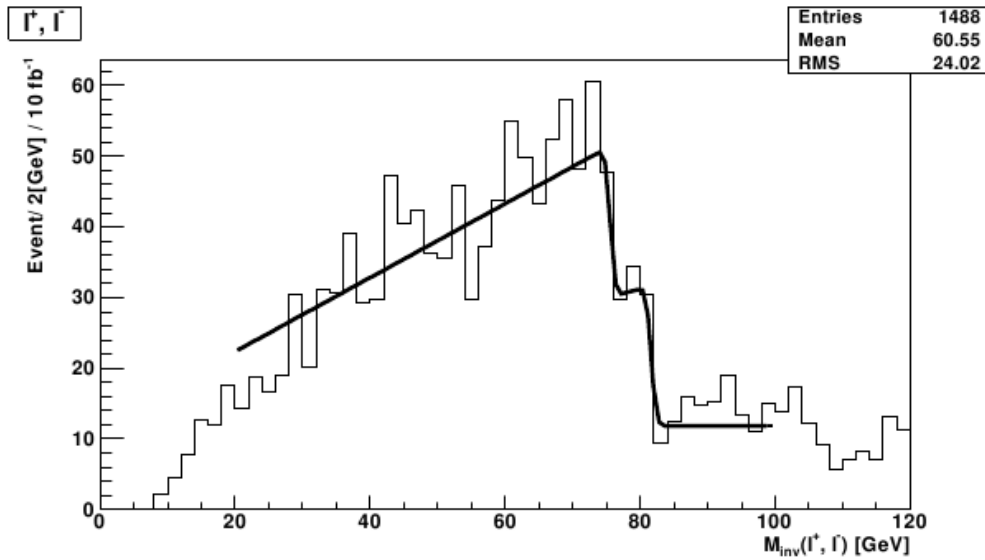
(b) "Experimental" distributions 3 GeV per bin

heights of different distributions
depend on mixing, phase space

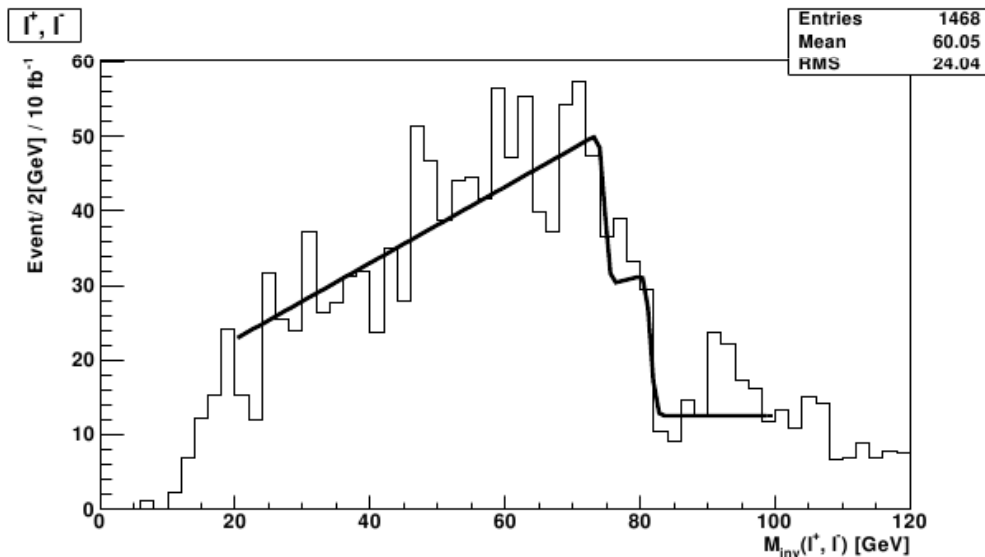
$$\frac{N(e^\pm \mu^\mp)}{N(e^+ e^-)} = \frac{2(1 + R) \cos^2 \theta \sin^2 \theta}{\cos^4 \theta + R \sin^4 \theta}$$
$$\frac{N(\mu^+ \mu^-)}{N(e^+ e^-)} = \frac{R \cos^4 \theta + \sin^4 \theta}{\cos^4 \theta + R \sin^4 \theta}$$

but: locations of endpoint are the same in
ee, mu mu, e mu (kinematics only)

flavor-added distribution more sensitive



(a) Model 1—small mixing



(b) Model 2—large mixing

can use
flavor-added distribution
 to detect 2 endpoints

then return to separate ones
 to fit mixings

10 fb-1: resolution around
 1GeV
 (can probably do better)

- for discovery: MFV is a dangerous assumption
- flavor measurements: large mixing makes measurement of masses more challenging

back to 1st order questions:

Kinematic edges as signal of LFV at LHC

[again: illustrative purposes: ruled out already]

Buras Calibbi Paradisi

CMSSM with selectron-smuon splittings from

23 slepton mixing: (selectron-smuon mixing small)

RR: $\delta_{23} = 0.1 \rightarrow$ selectron-smuon relative mass splitting up to 4%

LL: $\delta_{23} = 0.01 \rightarrow$ selectron-smuon relative mass splitting around 1%

study: accessible at 14TeV LHC 100fb⁻¹ but colored particles at or below TeV

To Conclude

- Concrete SUSY models with CLFV
CLFV controllable
Currently probed by both low-E expts and LHC
- As SUSY scale pushed higher by direct searches + 125 GeV Higgs

EWK production may play important role

→ CLFV LHC searches: less sensitivity
but low-E unaffected!

- flavor measurements at LHC possible but non-trivial

especially with lower statistics given heavy squarks, gluinos

any input from low-E experiments important

- here: focused on μ , e at LHC: τ even harder
- FLAVOR is important even for searches: especially with lepton-only signatures

THANK YOU