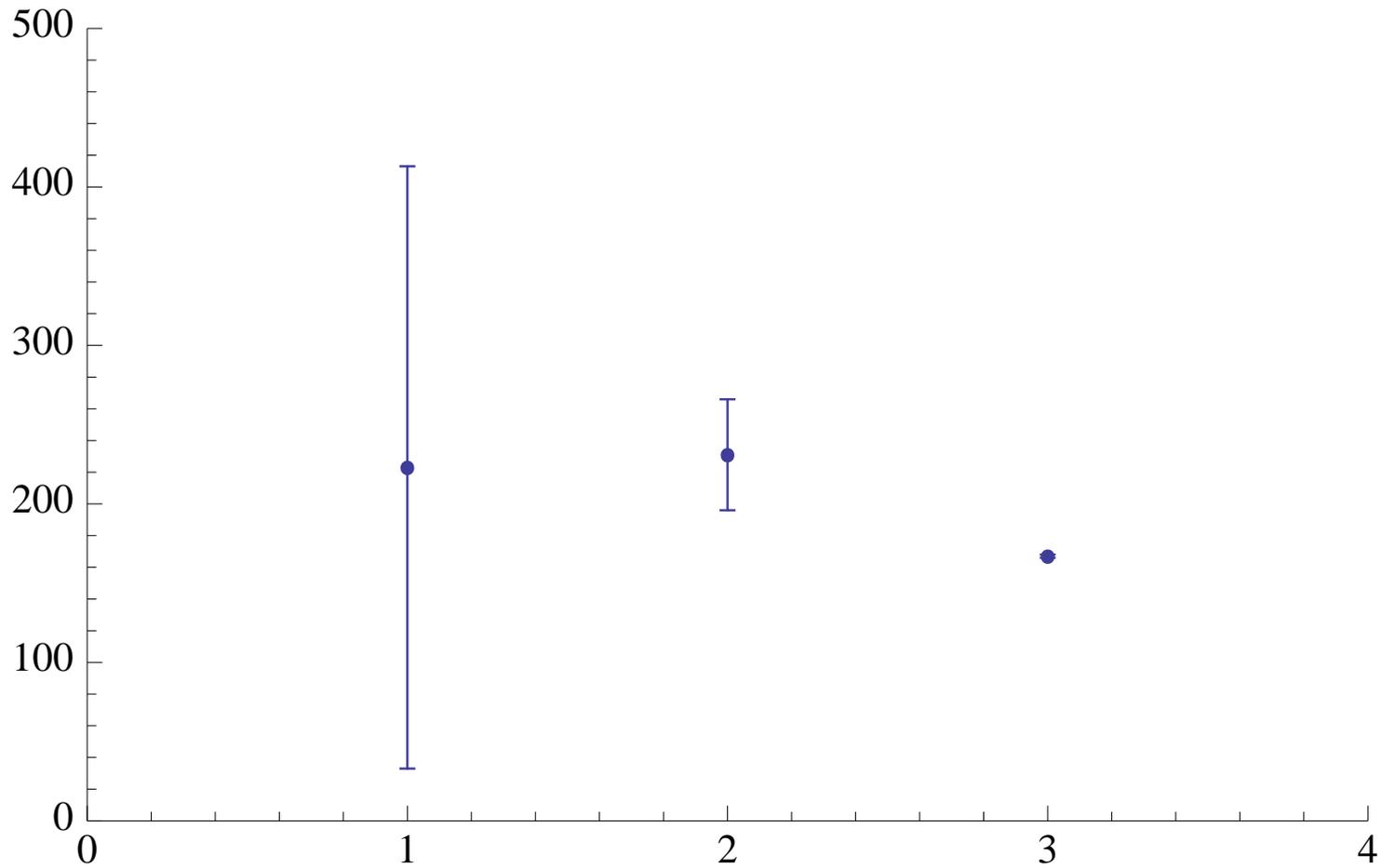

Theory of charged leptons

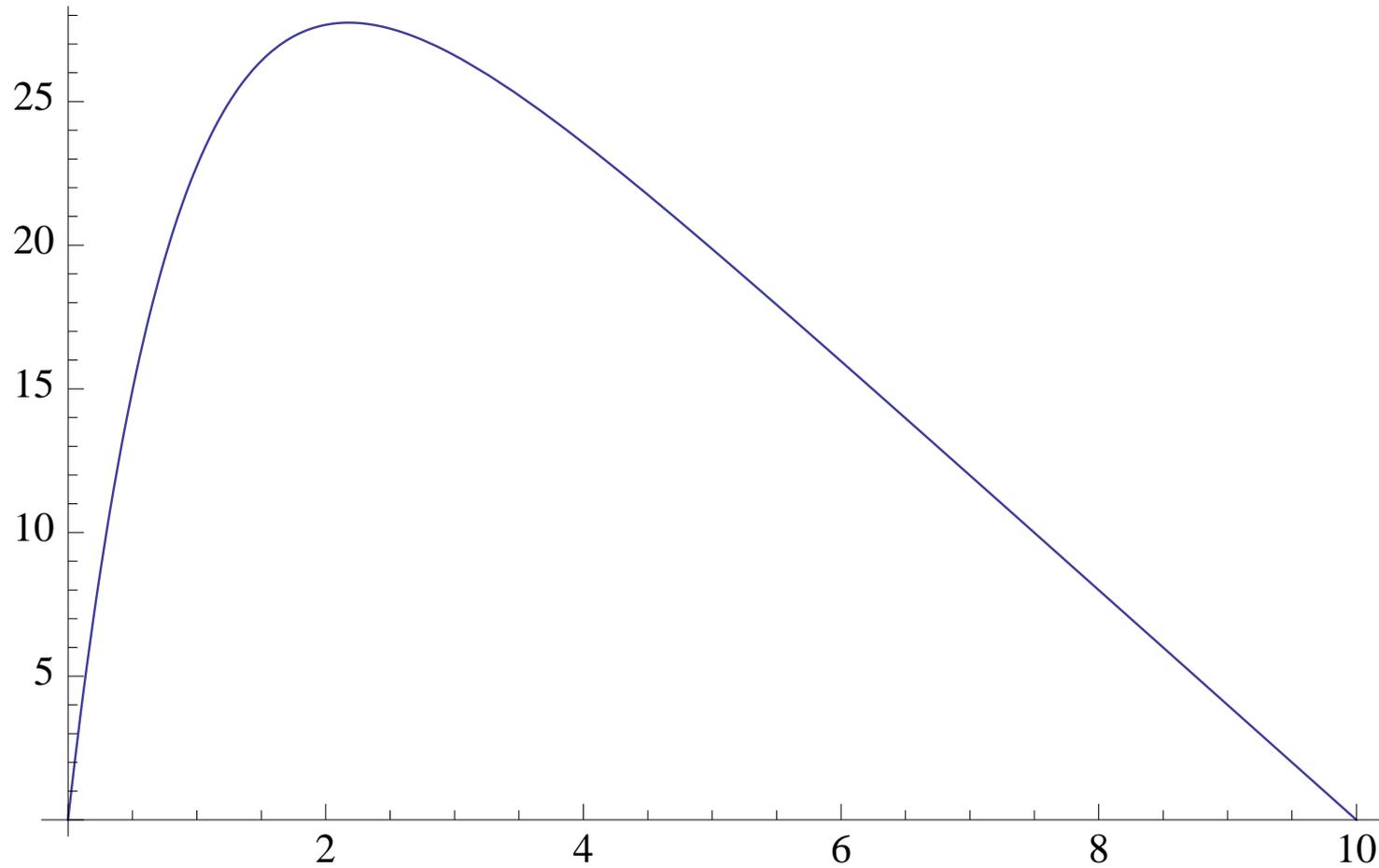
Yuval Grossman

Cornell

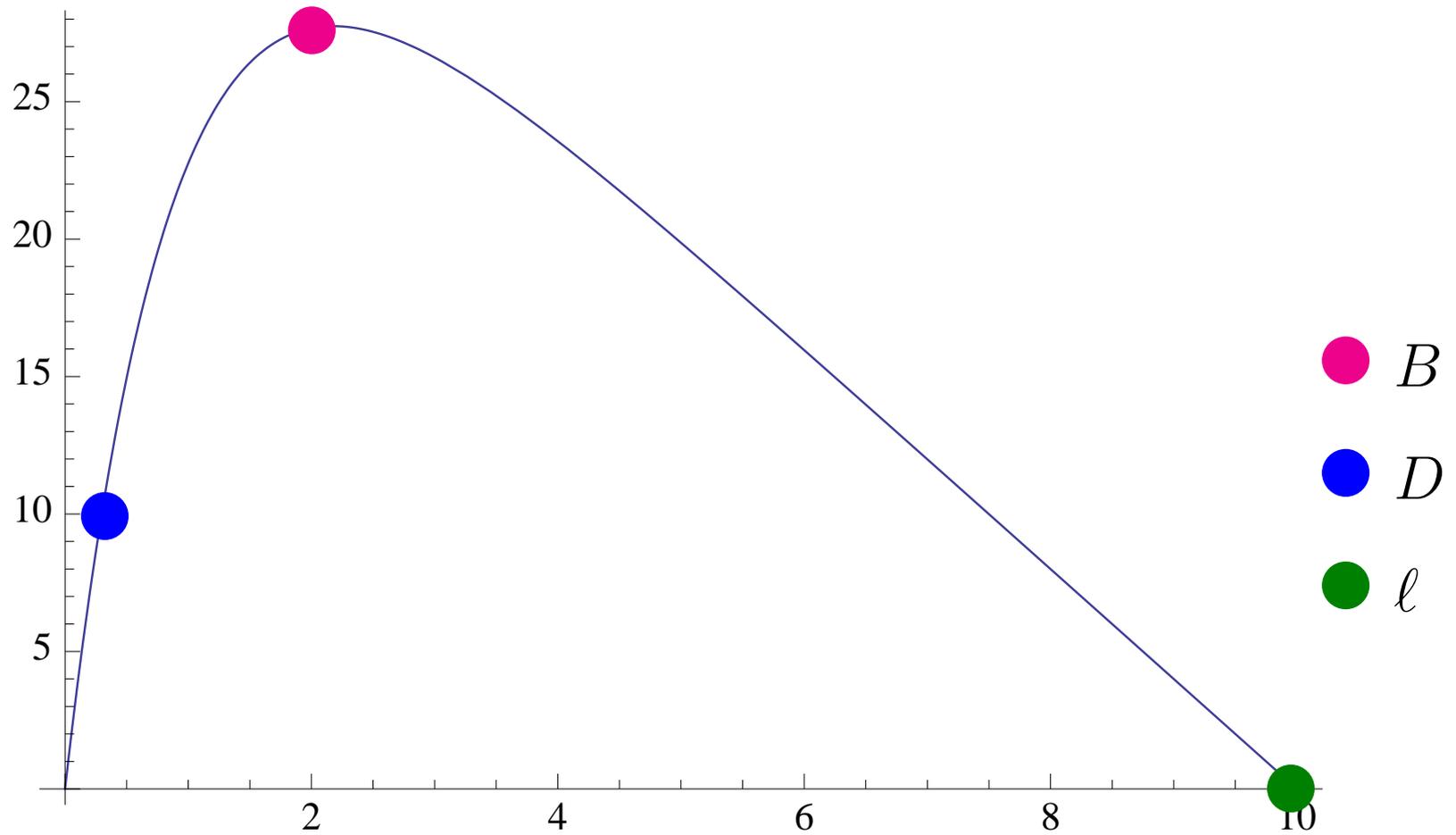
Why charged leptons?



Why charged leptons? (again)



Why charged leptons? (again)



Outline

- A general view on particle physics
- Synergy within charged leptons
- Probing the lepton sector with neutrinos
- Probing the flavor sector with quarks
- Probing new physics together with the rest of the world

e μ τ

The big picture

Why do we think there is NP?

Two types of reasons: data and beauty

- Data

- Dark matter
- Baryogenesis
- Neutrino masses (?)

- Beauty

- Cosmological constant
- Hierarchy problem
- Flavor hierarchy problem(s)
- The strong CP problem
- All the hints for a GUT

The simple flavor problem



Why flavor?

Flavor is interesting

- Fermion masses are (mainly) small and hierarchical
 - FCNCs are very small
 - The charged current is universal
 - Quark mixing angles are small and hierarchical
 - The patterns of leptons and quark flavors are different
-

Flavor seems to have a lot to tell us

The new physics flavor problem

The SM flavor puzzle: why the masses and mixing angles exhibit hierarchy. This is not what we refer to here

The SM flavor structure is special

- Universality of the charged current interaction
- FCNCs are highly suppressed

Any NP model must reproduce these successful SM features

The new physics flavor scale

- K physics: ϵ_K

$$\frac{\overline{s\bar{d}s\bar{d}}}{\Lambda^2} \Rightarrow \Lambda \gtrsim 10^5 \text{ TeV}$$

- Charged leptons: $\mu \rightarrow e\gamma$, $\mu \rightarrow e$, etc.

$$\frac{\mu\bar{e}f\bar{f}}{\Lambda^2} \Rightarrow \Lambda \gtrsim 10^3 \text{ TeV}$$

- There is no exact symmetry that can forbid such operators
- All other bounds on NP, like proton decay, maybe due to exact symmetry

Flavor and the hierarchy problem

There is tension:

- The hierarchy problem $\Rightarrow \Lambda \sim 1 \text{ TeV}$
- Flavor bounds $\Rightarrow \Lambda > 10^5 \text{ TeV}$

This tension is the NP flavor problem

Any TeV scale NP has to deal with the flavor bounds



Such NP cannot have a generic flavor structure

Where is the tail?



Solution to the NP flavor problem

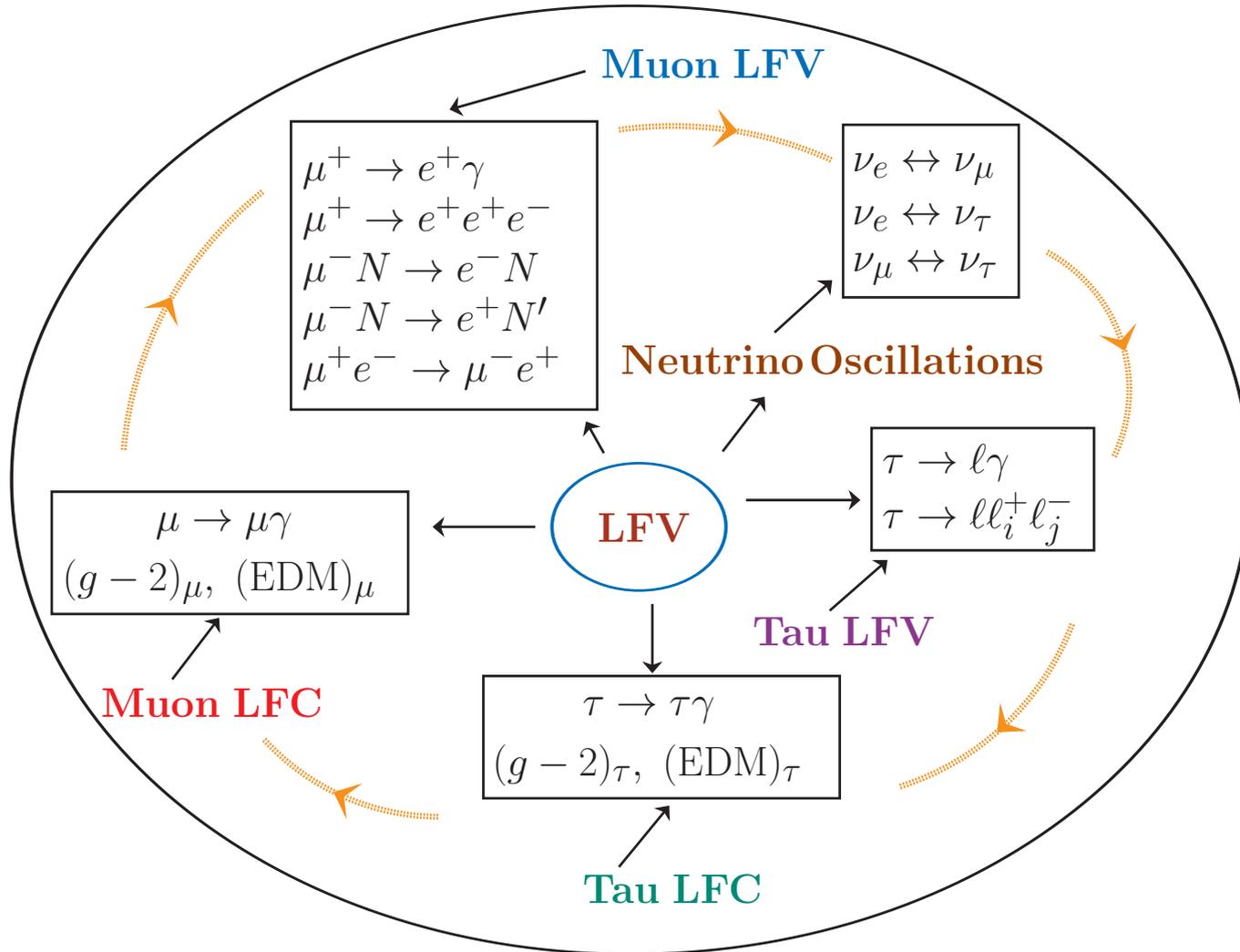
- No NP at the TeV
- There must be a structure in the TeV NP
 - Degeneracy
 - Alignment
 - Only top partners are light

Even if we find NP at the LHC, we have a problem: the inverse LHC problem

- We need flavor physics in either way

Synergy within charged leptons

The very basic of charged leptons



Thanks to Babu

Basic ideas

- No (or very small) hadronic uncertainties
- In many cases there is no “SM background”
- Large diversity of processes

$$g - 2, \quad \mu \rightarrow e\gamma, \quad \mu \rightarrow eee,$$

$$\mu^- + A \rightarrow e^- + A, \quad \mu^- + A \rightarrow e^+ + A', \quad \mu^+ e^- \rightarrow \mu^- e^+,$$

$$\tau \rightarrow e\gamma, \quad \tau \rightarrow \mu\gamma, \quad \tau \rightarrow eee,$$

$$\tau \rightarrow \mu\mu\mu, \quad \tau^+ \rightarrow e^+ \mu^+ \mu^-, \quad \tau^+ \rightarrow \mu^+ e^+ e^-,$$

$$\tau \rightarrow \mu\pi, \quad \tau \rightarrow e\pi, \quad \tau \rightarrow \mu K_S,$$

and more

The program

- A lot of related measurements
- This is similar to LHC or B factories, but
 - Multi-purpose experiments have one big apparatus and many analyses that are interconnected
 - Charged leptons experiments are smaller, but all of them together have much to probe
- Huge improvements in probing power are possible
 - The next 10-20 years we can improve different bounds by 2-5 orders of magnitude
 - Basically no theoretical uncertainties

Charged leptons and children

What I had in my fortune cookie:

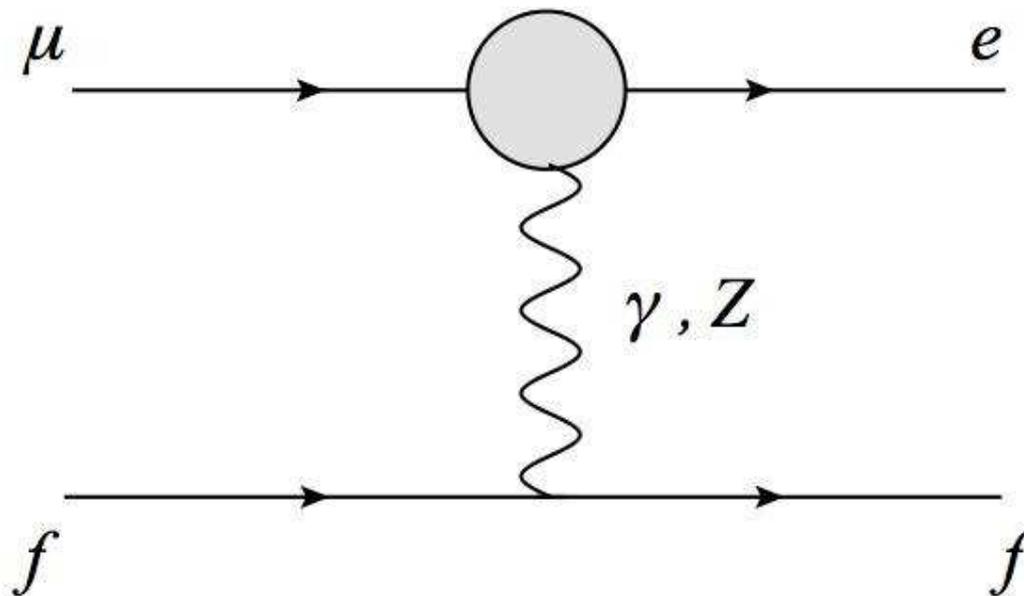
Charged lepton processes are like your children:

they have a lot in common
and you love them all
but each is very different
and together it is much more fun



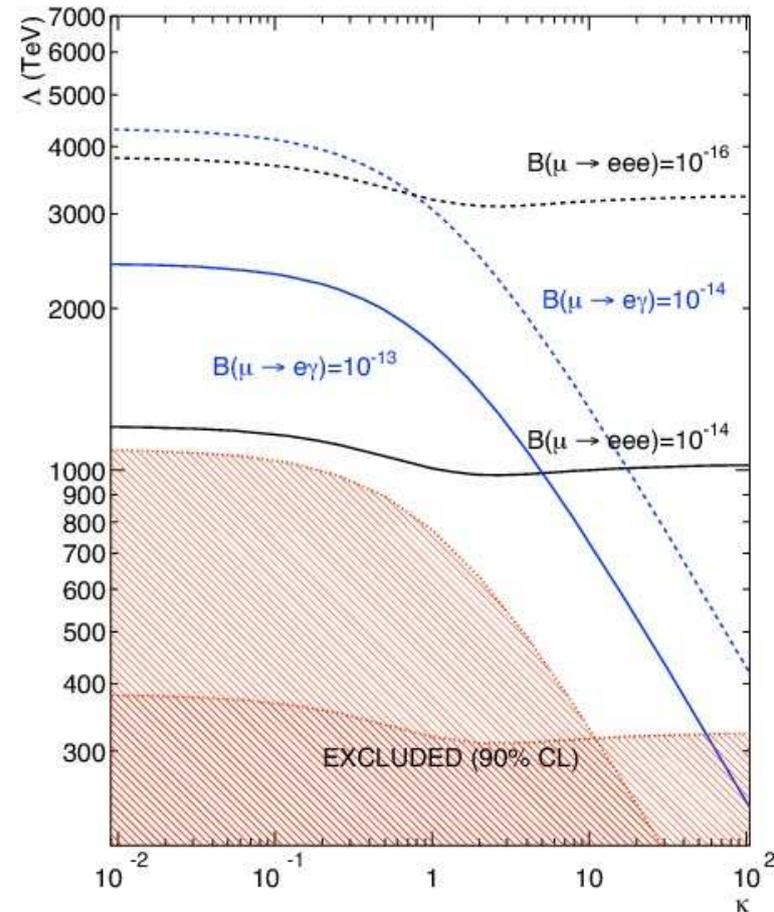
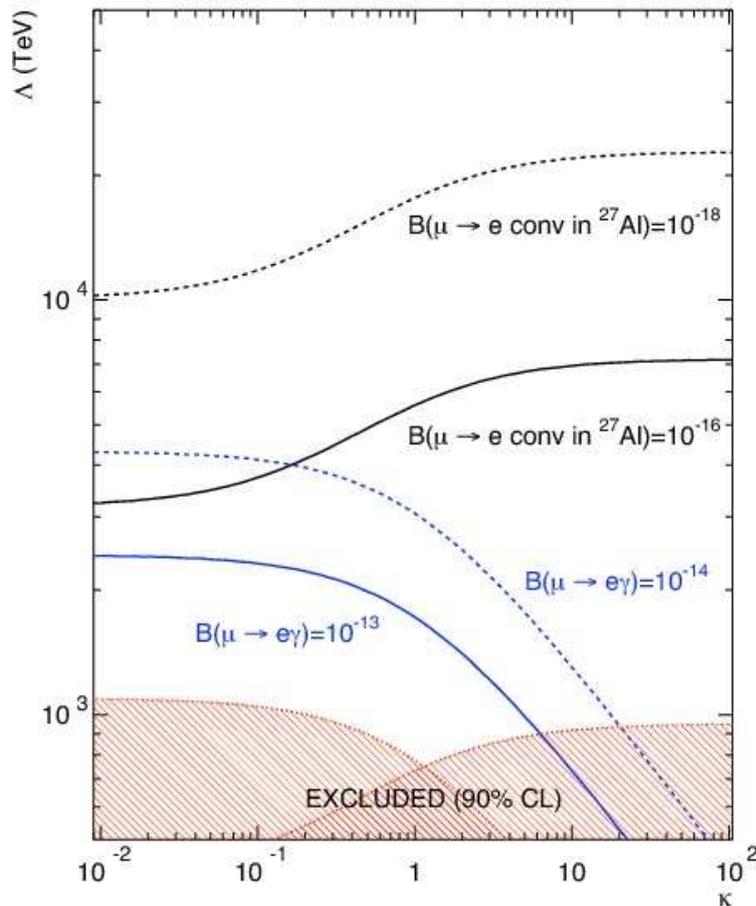
Interplay within the charged leptons

- There are many operators. Each mode is sensitive to a different set of them
- Example: $\mu \rightarrow e\gamma$ VS $\mu \rightarrow eee$ VS $\mu \rightarrow e$ conversion



Discriminating power

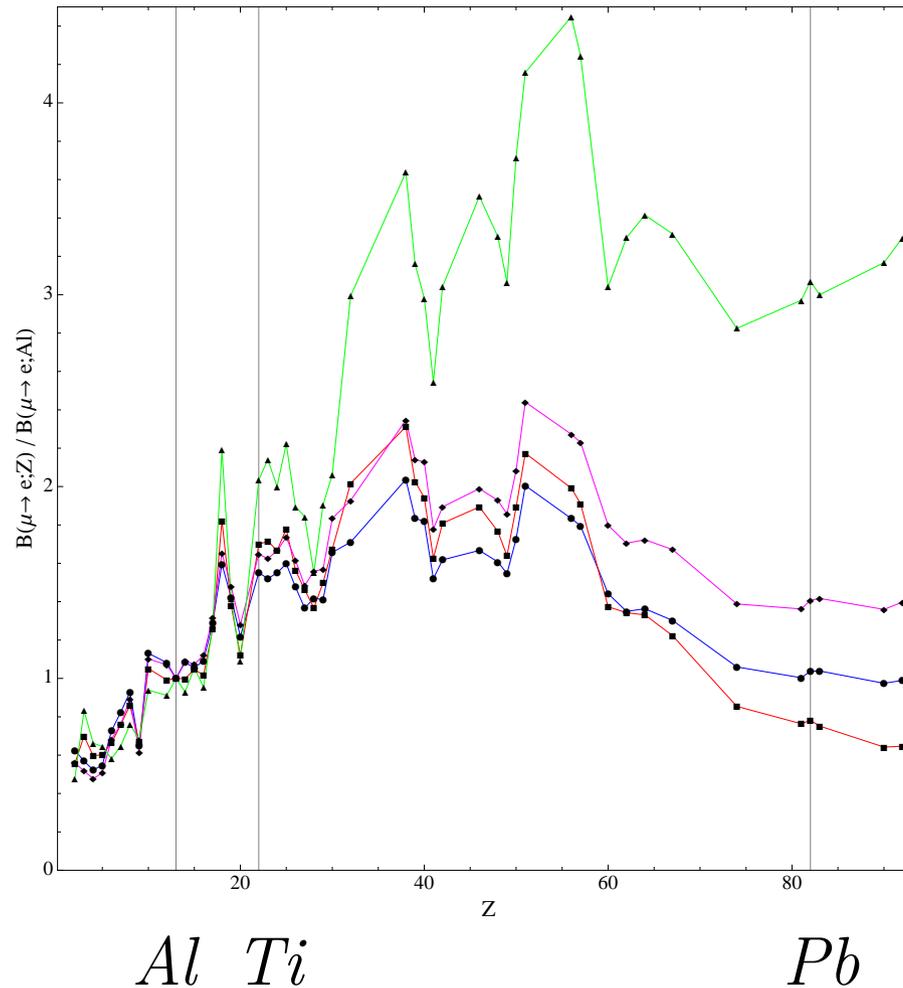
DeGouvea, Vogel, 2013



$\kappa \sim C_1/C_2$ ratio of two operators

The power of $\mu \rightarrow e$

Cirigliano, Kitano, Okada, Tuzon, 2009



Relation to neutrinos

Symmetries

Both charged leptons and neutrinos probe LFV, but they probe different operators

- Neutrino masses arise from the dim-5 $LLHH$ operator
- Charged leptons processes probe dim-6 operators, for example, μeee
- The fact that we established $m_\nu \neq 0$ implies that lepton flavor is a broken symmetry
- We promote the SM into the ν SM

Charged leptons and neutrinos

- neutrino oscillations imply the breaking of lepton flavor symmetry
- Thus, we must have CLFV
- If all the breaking is from the operator that give neutrino masses, charged lepton flavor violation is tiny

$$\Gamma(\mu \rightarrow e\gamma) \propto \left(\frac{m_\nu}{m_W}\right)^4 \sim 10^{-54}$$

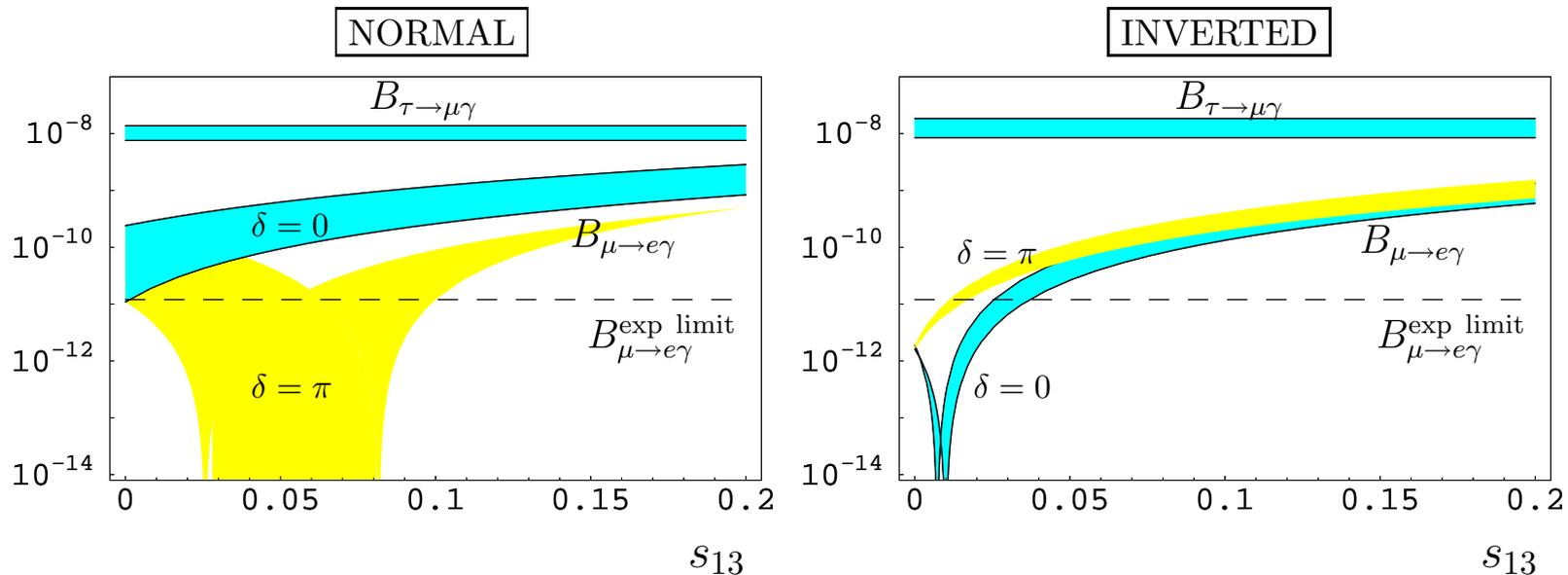
- More generally, if the scale of the dim-5 and dim-6 operators is the same, CLFV is tiny

CLFV probes physics beyond the ν SM

Model relations

- While the operators for masses and CLFV decays are different they can be the same in specific models
- GUT, lepton MFV, RS, ...
- Example of MFV

Cirigliano, Grinstein, Isidori, Wise, 2005



$B\nu$ SM, CLFV and NSI

If we find $\tau \rightarrow eee$, will it affect neutrino oscillation?

$B\nu$ SM, CLFV and NSI

If we find $\tau \rightarrow eee$, will it affect neutrino oscillation?

Yes

- Neutrino oscillations are sensitive to Non Standard Interactions (NSIs)
- They can show up in matter effects or in the production or detection processes
- The effect in oscillations scale like the amplitude and not like the rate \Rightarrow Enhanced sensitivity in neutrino oscillation experiments

NSI in neutrinos

- If the new operators involve the lepton doublets, it must be that

$$\mathcal{A}(\tau \rightarrow \mu) \sim \mathcal{A}(\nu_\tau \rightarrow \nu_\mu) = \varepsilon$$

- For neutrino oscillation we have interference

$$\Gamma(\tau \rightarrow \mu X) \propto |\varepsilon|^2 \quad P(\nu_\mu \rightarrow \nu_\tau) \propto |\exp(-i\Delta Et) + \varepsilon|^2$$

- For small $x = \Delta m^2 L / (4E)$ we get

$$P(\nu_\mu \rightarrow \nu_\tau) \propto |\varepsilon|^2 + x^2 + 2x \text{Im}(\varepsilon)$$

Neutrinos and charged leptons

$$P(\nu_\mu \rightarrow \nu_\tau) \propto |\varepsilon|^2 + x^2 + 2x\text{Im}(\varepsilon) \quad \Gamma(\tau \rightarrow \mu X) \propto |\varepsilon|^2$$

- NSIs affect oscillation experiments by changing the L/E dependence
- Both neutrinos and charged leptons can be relevant (linear vs quadratic)
- Charged lepton decays and neutrino oscillations can probe the same flavor violating operators
- The bound on muon CLFV are too strong to make NSIs in the $\mu - e$ sector relevant to neutrino oscillations
- Neutrino oscillations “win” on flavor conserving operators, like $ee\tau\tau$

Relation to the rest of physics

The connection to quarks

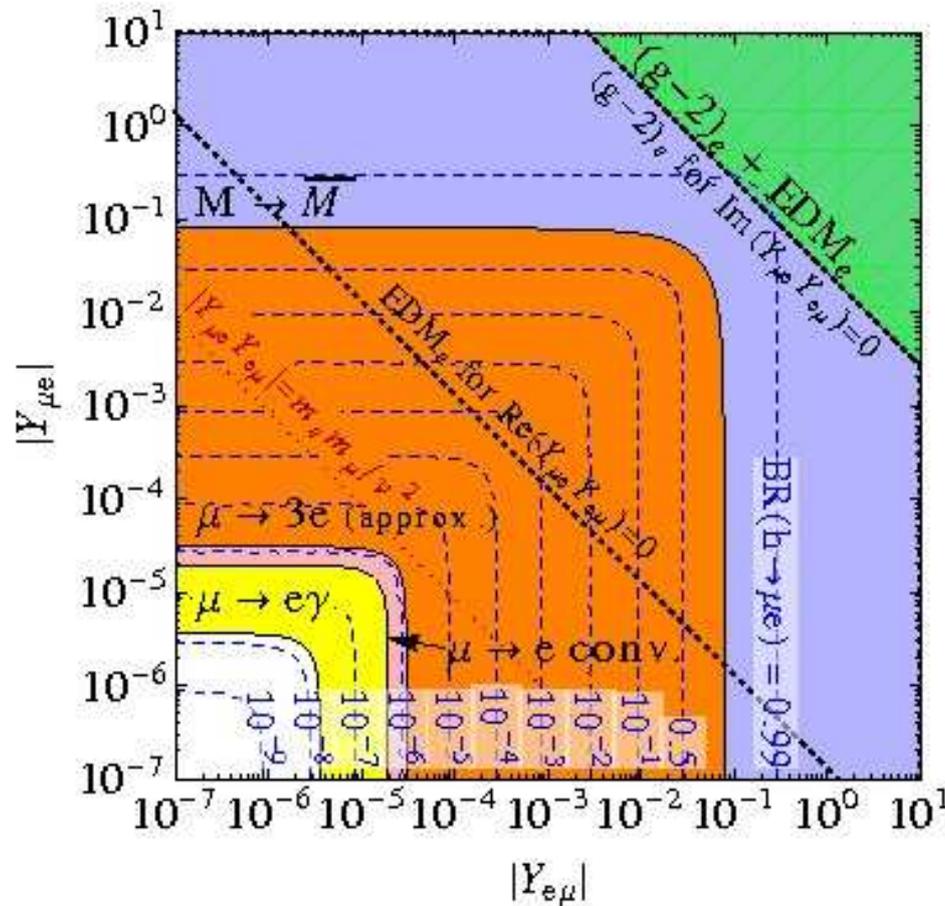
- Both quarks and leptons probe high energy scale via flavor violation
- For hadrons we have QCD. It makes it hard and interesting
- Charged leptons BRs are much smaller
- Why hadrons “win” in probing power?
- In meson we probe the amplitude, in charged leptons the rates
- Of course, quarks and leptons probe different operators

Connection to flavor at the LHC

- We can probe LFV operators at the LHC
- Hopefully, we will find NP that violate flavor
- How about $Z' \rightarrow e\mu$?
- CLFV low energy processes can help in finding more about the source of LFV
- We can also look for LFV effects in Higgs decays

Connection to flavor at the LHC

Harnik, Kopp, Zupan, 2012



Conclusions

Conclusion

- Theorists and experimentalist do not need to work on similar things
- Charged lepton flavor violation is so clean, so just go and measure it

