



Searches for rare and forbidden decays with the NA62 experiment at CERN

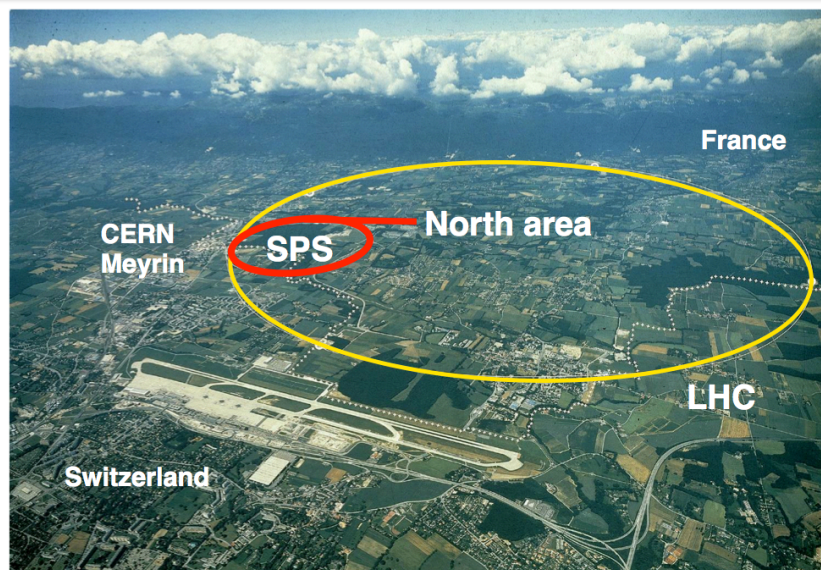
PHIPSI 2013 Roma 11 September 2013

Paolo Massarotti
Università degli studi di Napoli "Federico II"
And INFN Napoli

On behalf of the NA62 collaboration:

Birmingham, Bratislava, Bristol, CERN, Dubna, Fairfax, Ferrara, Florence, Frascati,
Glasgow, Liverpool, Louvain, Mainz, Merced, Moscow, Naples, Perugia, Pisa, Prague,
Protvino, Rome I, Rome II, San Luis Potosí, Stanford, Sofia, Turin

The NA62 experiment at CERN



1997-2002 NA48, NA48/1

Simultaneous K_S , K_L beams

Re ε'/ε , rare K_S and hyperon decays

2003-2004 NA48/2

Simultaneous K^+ , K^- beams

Direct CP violation, rare K^\pm decays

2007-2008 NA62 (using NA48/2)

$$R_K = \Gamma(K_{e2})/\Gamma(K_{\mu2})$$

Primary NA62 goal: Detect ~ 100 $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ decays with S/B ~ 10

$$\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu})_{\text{SM}} \sim 10^{-10}$$

$\left\{ \begin{array}{l} \text{Minimal theoretical uncertainty} \\ \text{Precise measurement of unitarity triangle} \\ \text{for } K \text{ system} \end{array} \right.$

Opportunity to perform additional searches for novel phenomena:

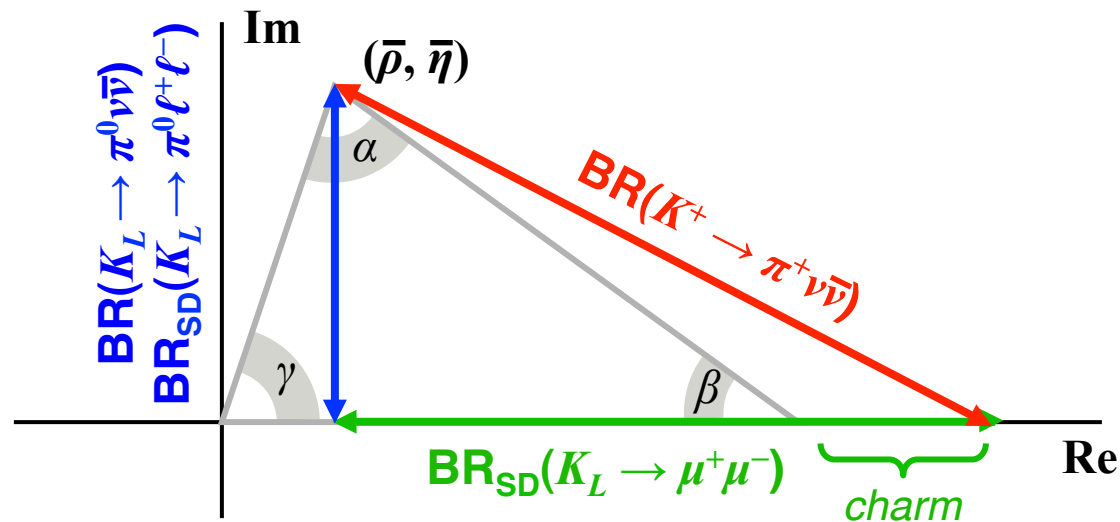
- K decays with explicit lepton flavor or number violation (LFNV)
- Forbidden π^0 decays tagged by $K^+ \rightarrow \pi^+ \pi^0$

Rare kaon decays

FCNC processes dominated by
Z-penguin and box diagrams

**Short-distance amplitudes
related to V_{CKM} with minimal
non-parametric uncertainty**

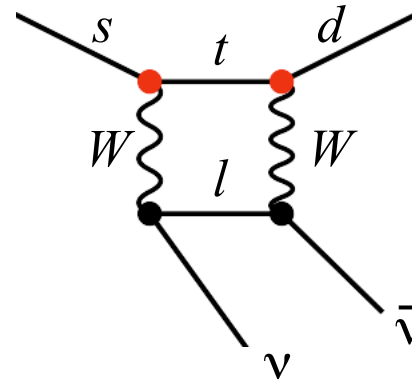
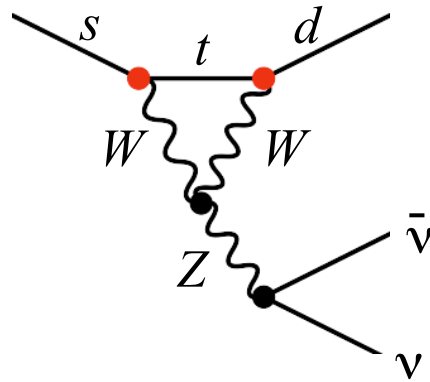
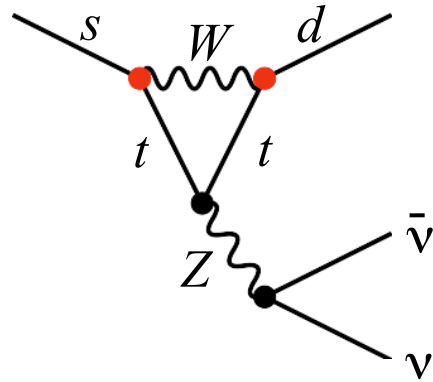
Rate measurements overconstrain
 V_{CKM} and may provide evidence
for new physics



Decay	Γ_{SD}/Γ	Theory err.*	SM BR $\times 10^{-11}$	Exp. BR $\times 10^{-11}$
$K_L \rightarrow \mu^+ \mu^-$	40%	20%	681 ± 32	684 ± 11
$K_L \rightarrow \pi^0 e^+ e^-$	40%	10%	35 ± 10	$< 28^\dagger$
$K_L \rightarrow \pi^0 \mu^+ \mu^-$	30%	15%	14 ± 3	$< 38^\dagger$
$K^+ \rightarrow \pi^+ \nu \bar{\nu}$	90%	4%	7.8 ± 0.8	17 ± 12
$K_L \rightarrow \pi^0 \nu \bar{\nu}$	$> 99\%$	2%	2.4 ± 0.4	$< 2600^\dagger$

*Approx. error on LD-subtracted rate excluding parametric contributions $^\dagger 90\%$ CL

$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ in the Standard Model

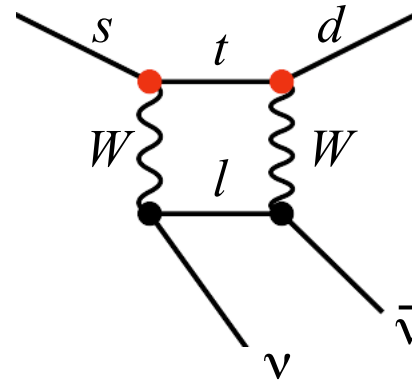
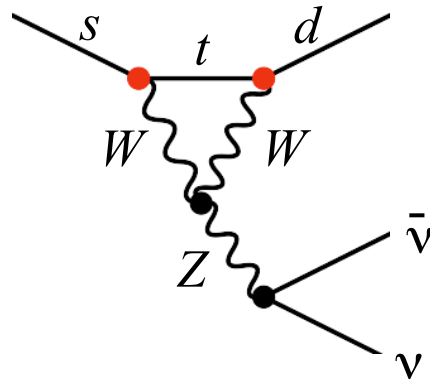
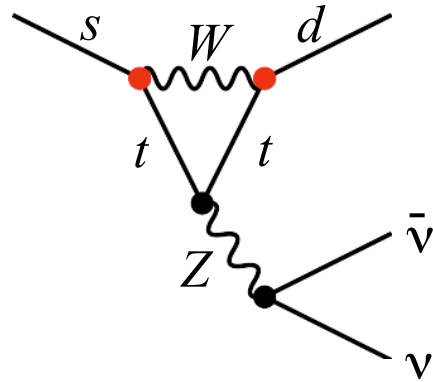


$$\begin{aligned}\lambda &= V_{us} \\ \lambda_c &= V_{cs}^* V_{cd} \\ \lambda_t &= V_{ts}^* V_{td}\end{aligned}$$

$$x_q \equiv m_q^2/m_W^2$$

$$\begin{aligned}\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) &= \kappa_+ \left[\left(\frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 + \left(\frac{\text{Re} \lambda_t}{\lambda^5} X(x_t) + \frac{\text{Re} \lambda_c}{\lambda} P_c(X) \right)^2 \right] \\ \text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) &= \kappa_L \left(\frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2\end{aligned}$$

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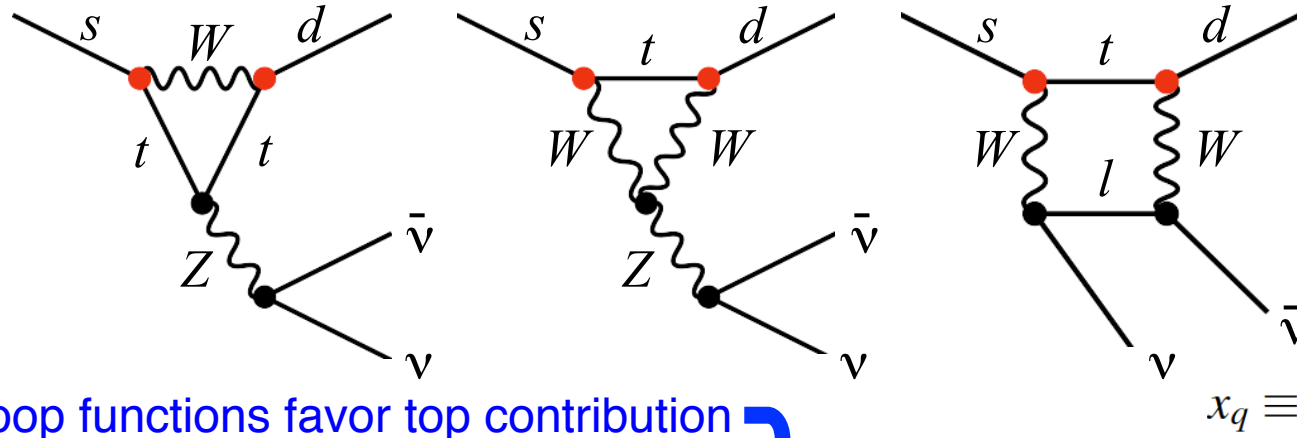
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$$\kappa_+ = r_{K^+} \frac{3\alpha^2 \text{BR}(K^+ \rightarrow \pi^0 e^+ \nu)}{2\pi^2 \sin^4 \theta_W} \lambda^8$$

Hadronic matrix element obtained from $\text{BR}(K_{e3})$ via isospin rotation

$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ in the Standard Model



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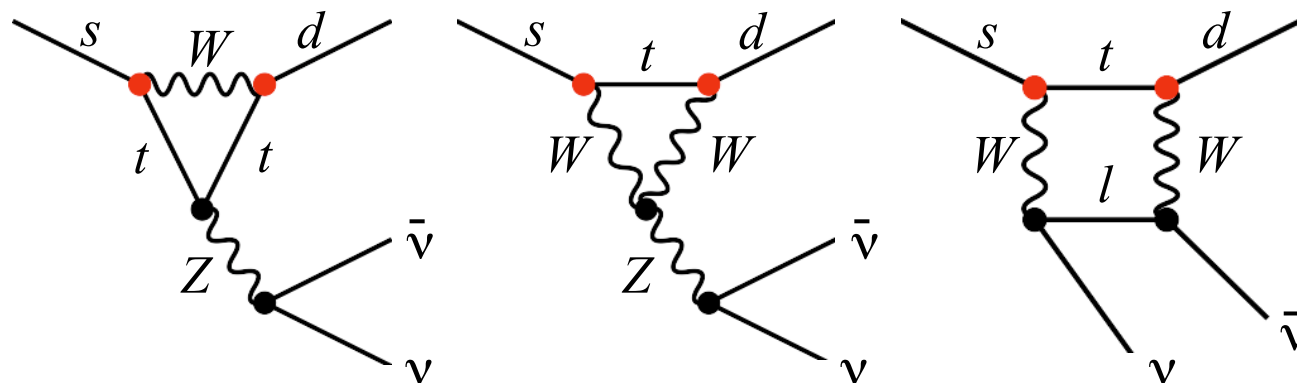
Loop functions favor top contribution

$$\begin{aligned}\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) &= \kappa_+ \left[\left(\frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 + \left(\frac{\text{Re} \lambda_t}{\lambda^5} X(x_t) + \frac{\text{Re} \lambda_c}{\lambda} P_c(X) \right)^2 \right] \\ \text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) &= \kappa_L \left(\frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 \leftarrow \cancel{CP}\end{aligned}$$

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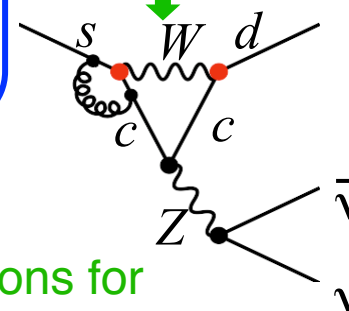
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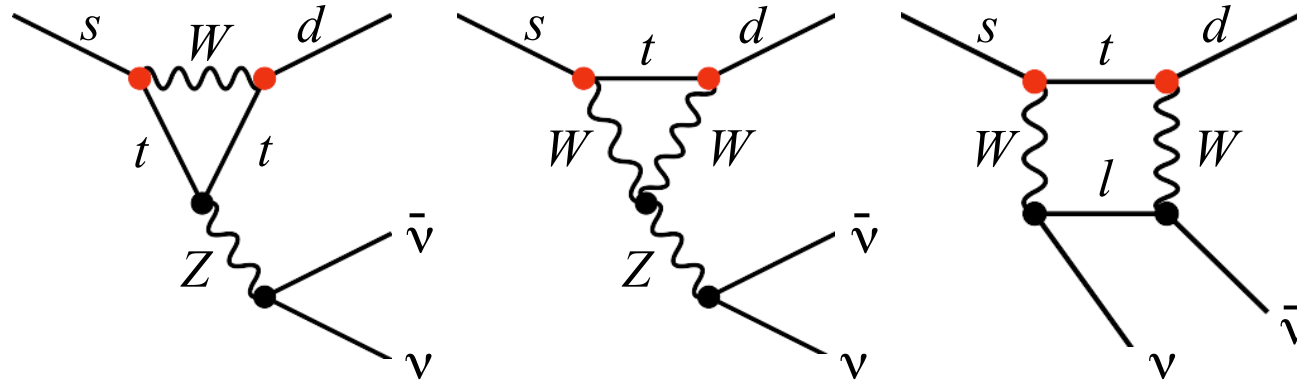
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Hadronic matrix element obtained from $\text{BR}(K_{e3})$ via isospin rotation

QCD corrections for charm diagrams contribute to uncertainty



$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ in the Standard Model



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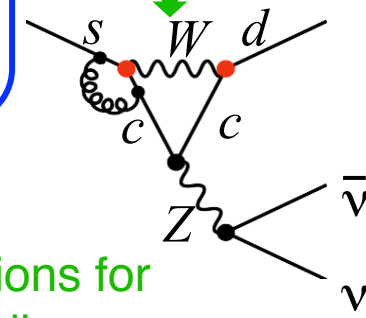
Loop functions favor top contribution

$$\begin{aligned}\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) &= \kappa_+ \left[\left(\frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 + \left(\frac{\text{Re} \lambda_t}{\lambda^5} X(x_t) + \frac{\text{Re} \lambda_c}{\lambda} P_c(X) \right)^2 \right] = (7.81^{+0.80}_{-0.71} \pm 0.29) \\ \text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) &= \kappa_L \left(\frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 \leftarrow \text{CP}\end{aligned}$$

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Hadronic matrix element obtained from $\text{BR}(K_{e3})$ via isospin rotation

QCD corrections for charm diagrams contribute to uncertainty

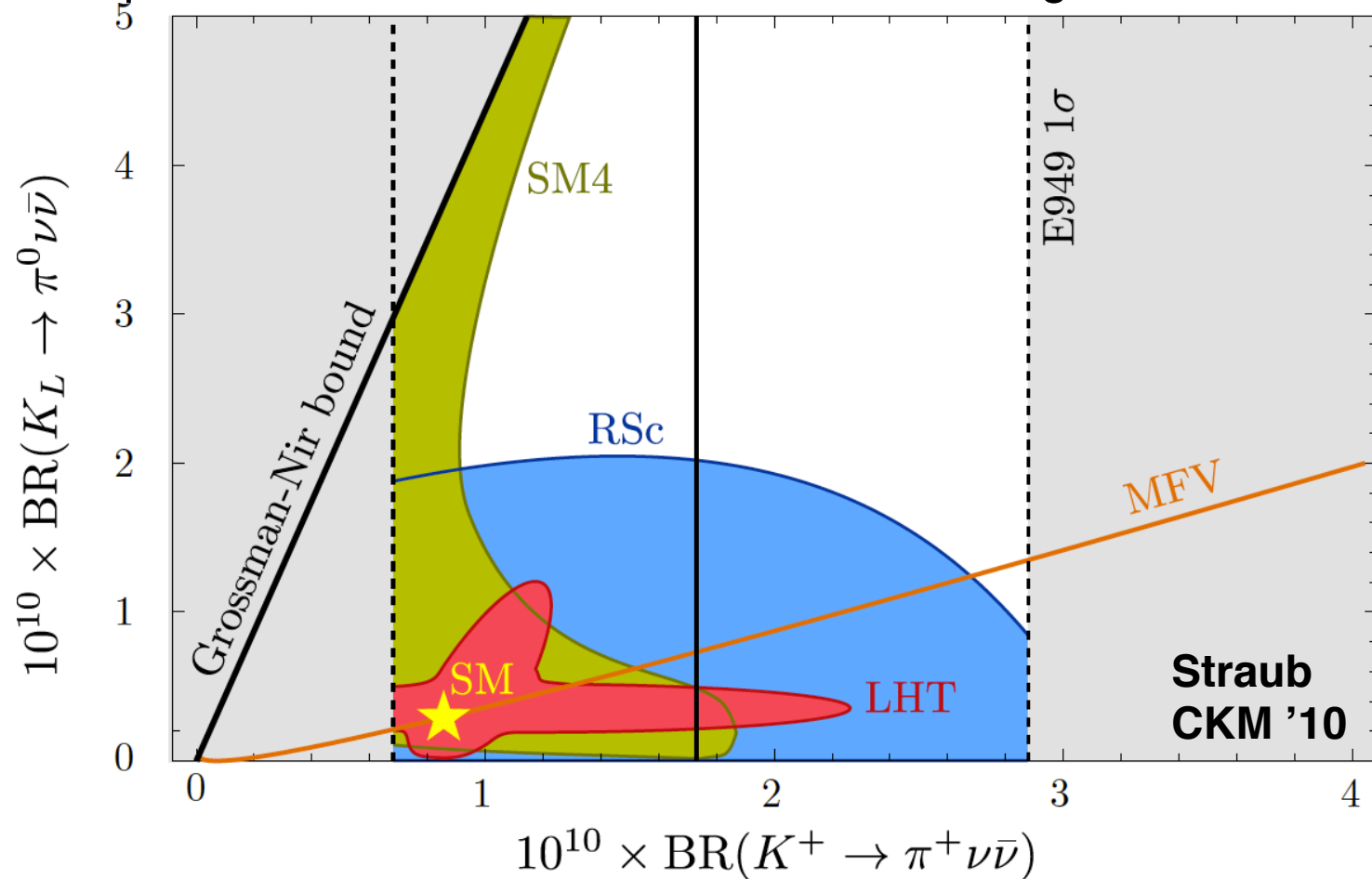


SM prediction (10-11 units)

[Brod, Gorbahn and Stamou Phys. Rev D 83, (2011) 034030]

$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ and new physics

New physics affects BRs differently for different channels
Multiple measurements can discriminate among NP scenarios

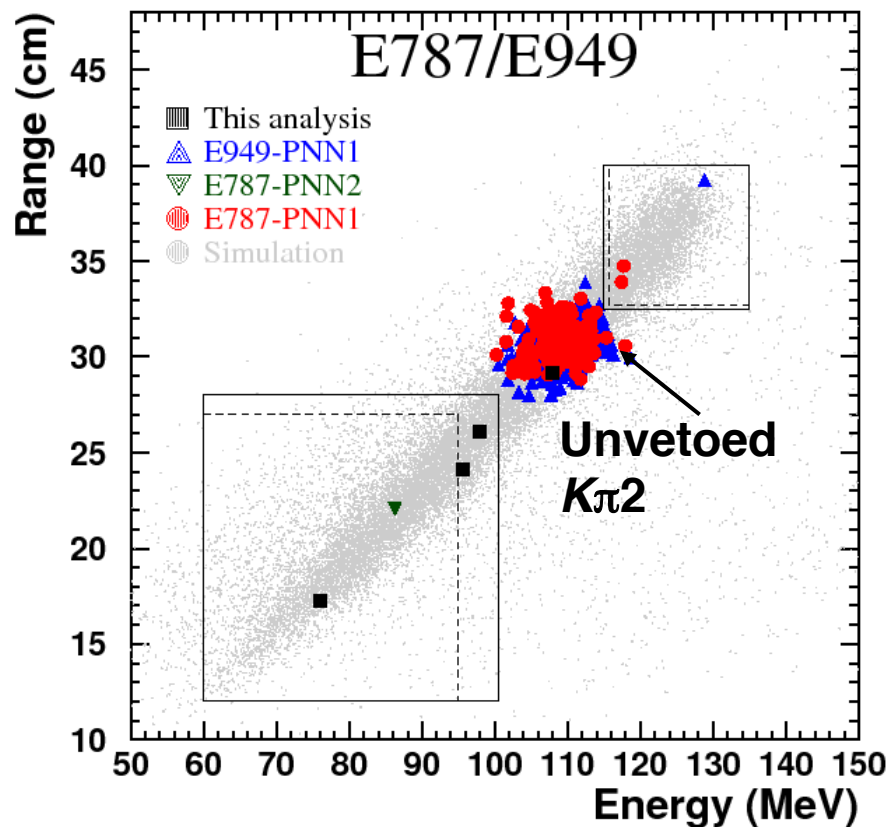


SM4: SM with 4th generation (Buras et al. '10) **LHT:** Littlest Higgs with T parity (Blanke '10)
RSc: Custodial Randall-Sundrum (Blanke '09) **MFV:** Minimal flavor violation (Hurth et al. '09)

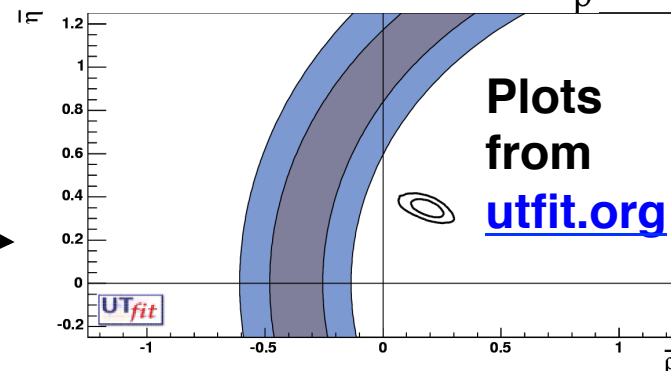
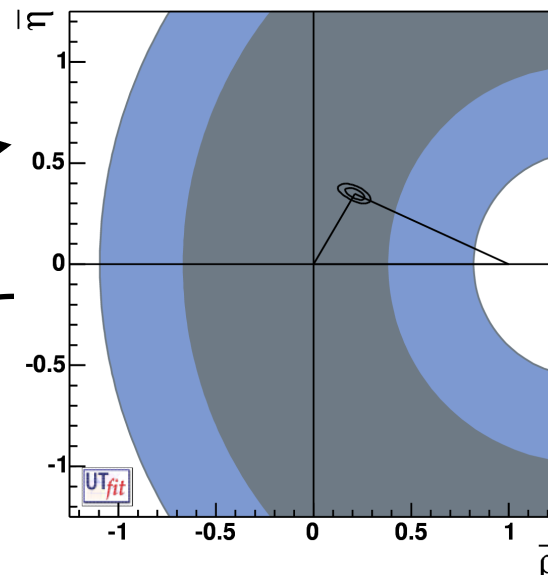
Experimental status for $K^+ \rightarrow \pi^+ \nu \bar{\nu}$

In 2008, combine E787 (1995-8 runs) & E949 (12-weeks run in 2001) results

$$BR(K^+ \rightarrow \pi^+ \bar{\nu} \nu) = (1.73^{+1.15}_{-1.05}) \times 10^{-10}$$



Same
central
value,
100
evts



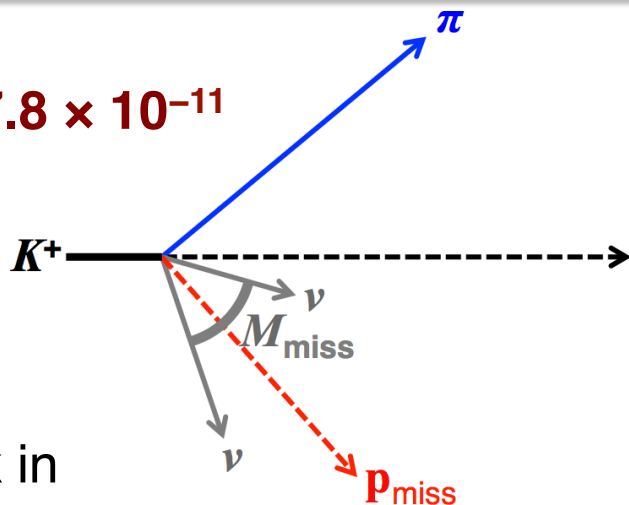
Expected bkg 2.6 events, prob. all 7 obs. evts are bkg is $\sim 10^{-3}$

$K^+ \rightarrow \pi^+ \nu \bar{\nu}$: Signal and background



Signal:

$$\text{BR}_{\text{SM}} \sim 7.8 \times 10^{-11}$$



K track in

π track out

No other particles in final state

$$M_{\text{miss}}^2 = (p_K - p_\pi)^2$$

NA62 goal:

Measure BR to 10%



100 signal events

S/B ~ 10

10^{13} K decays with:

Acceptance $\sim 10\%$

Background rejection $\sim 10^{12}$

Background known to $\sim 10\%$

Decay backgrounds

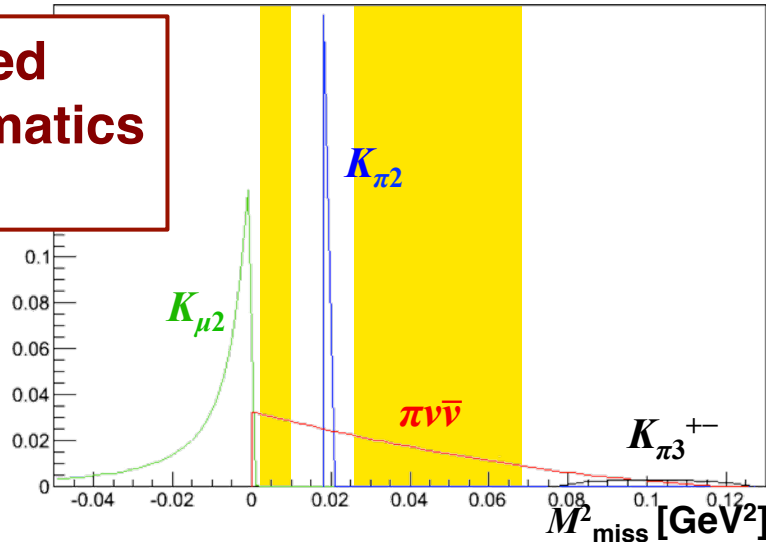
Mode	BR
$\mu^+ \nu(\gamma)$	63.5%
$\pi^+ \pi^0(\gamma)$	20.7%
$\pi^+ \pi^+ \pi^-$	5.6%
$\pi^0 e^+ \nu$	5.1%
$\pi^0 \mu^+ \nu$	3.3%
$\pi^+ \pi^- e^+ \nu$	4.1×10^{-5}
$\pi^0 \pi^0 e^+ \nu$	2.2×10^{-5}
$\pi^+ \pi^- \mu^+ \nu$	1.4×10^{-5}
$e^+ \nu(\gamma)$	1.5×10^{-5}

Other backgrounds

Upstream interactions

$K^+ \rightarrow \pi^+ \nu \bar{\nu}$: Background rejection

**Closed kinematics
92%**



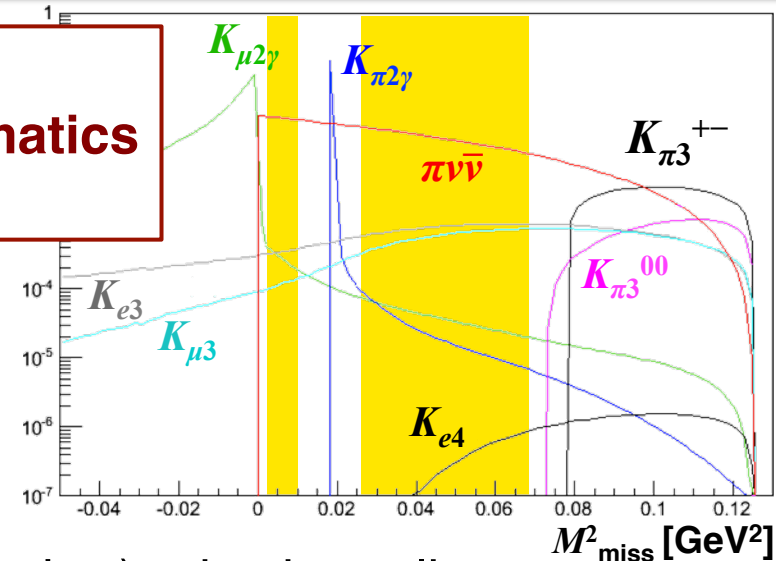
$m^2_{\text{miss}} = 0$ or m_π^2
to reject $\mu\nu, \pi\pi^0$ \rightarrow 2 fiducial regions in m^2_{miss}

- High resolution m^2_{miss} reconstruction
- Precise measurement of p_K and p_π
- Minimize multiple scattering

High-rate beam tracker
Low-mass spectrometer in vacuum

Rejection from kinematics alone:
 10^{-4} at best

**Open kinematics
8%**

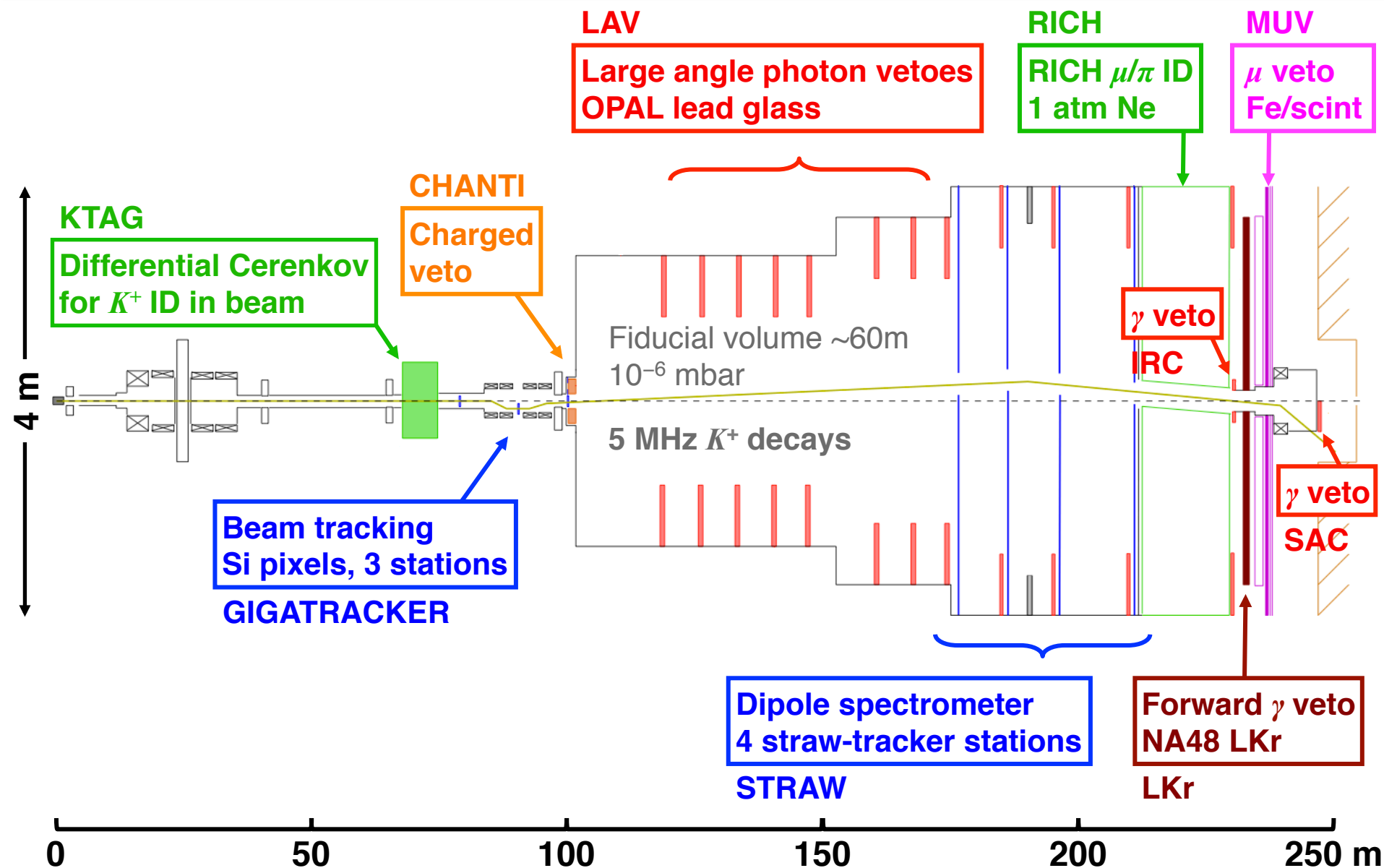


(Further) rejection relies on
PID and vetoes

- Veto detectors for π^0 rejection
- K^+ identification in hadron beam
- Detectors for π/μ separation

Hermetic γ vetoes
Non-destructive beam ID
Secondary particle ID
Muon vetoes

The NA62 experiment at the SPS

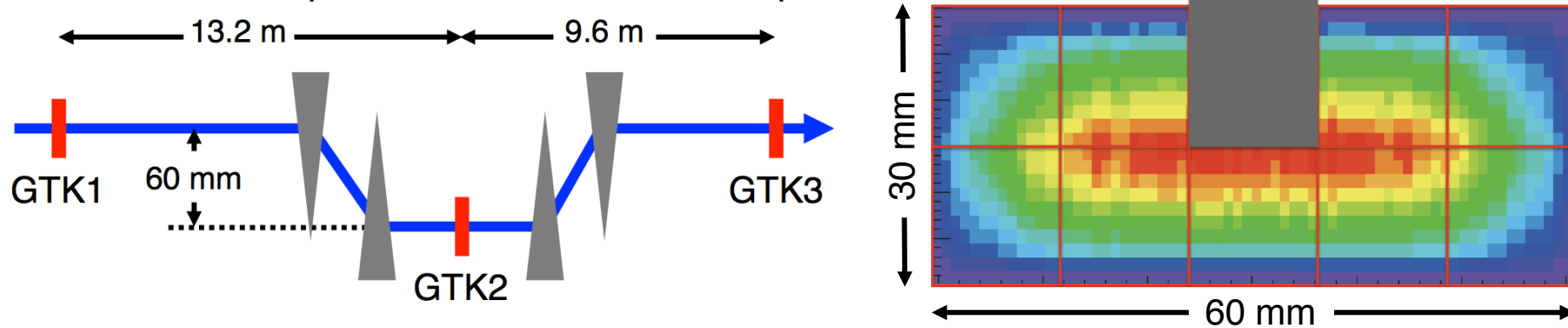


High-rate, precision tracking

Beam tracking: Gigatracker

3 planes of hybrid Si pixel detectors: 1 sensor, 10 bump-bonded readout chips

Tracks individual particles in 750 MHz unseparated beam



Pixel size $300 \times 300 \mu\text{m}^2 \rightarrow \sigma_p/p \sim 0.2\%$, $\sigma_\theta = 16 \mu\text{rad}$

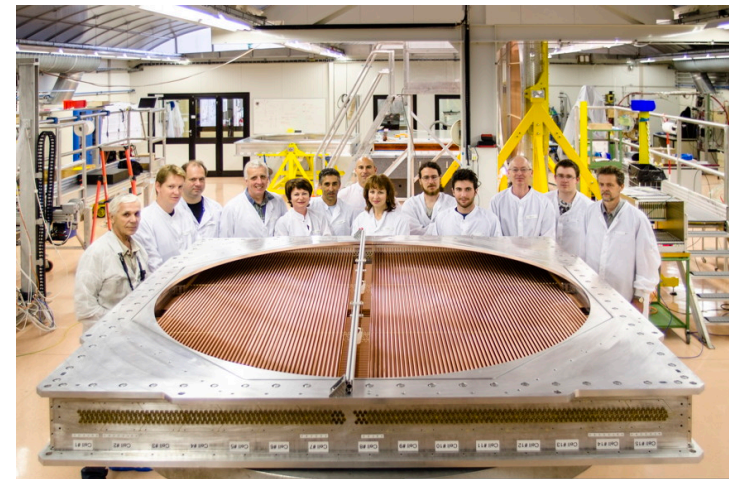
Secondary tracking: 4 straw chambers in vacuum

4 chambers, 2.1 m in diameter

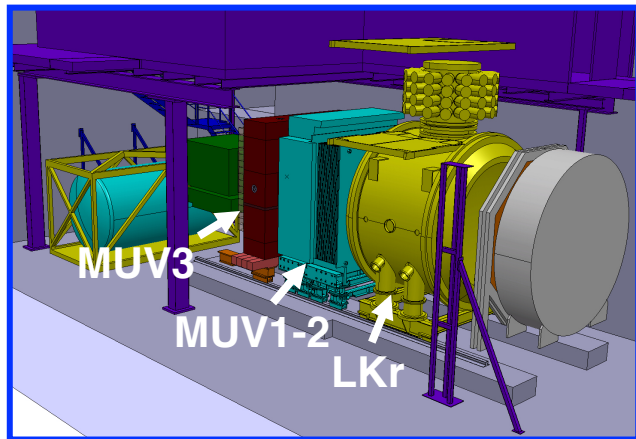
16 layers (4 views) of straws per chamber

$\sigma \leq 130 \mu\text{m}$ (1 view) $\rightarrow \sigma_p/p = 0.32\% \oplus 0.008\% p$
 $0.45X_0$ per chamber $\rightarrow \sigma_{\theta(K\pi)} = 20\text{-}50 \mu\text{rad}$

MNP33 dipole: 0.36T ($\Delta p_\perp = 270 \text{ MeV}$)



Primary μ/π separation from downstream muon vetoes (MUV)



MUV1-2: Fe/scintillator hadron calorimeter

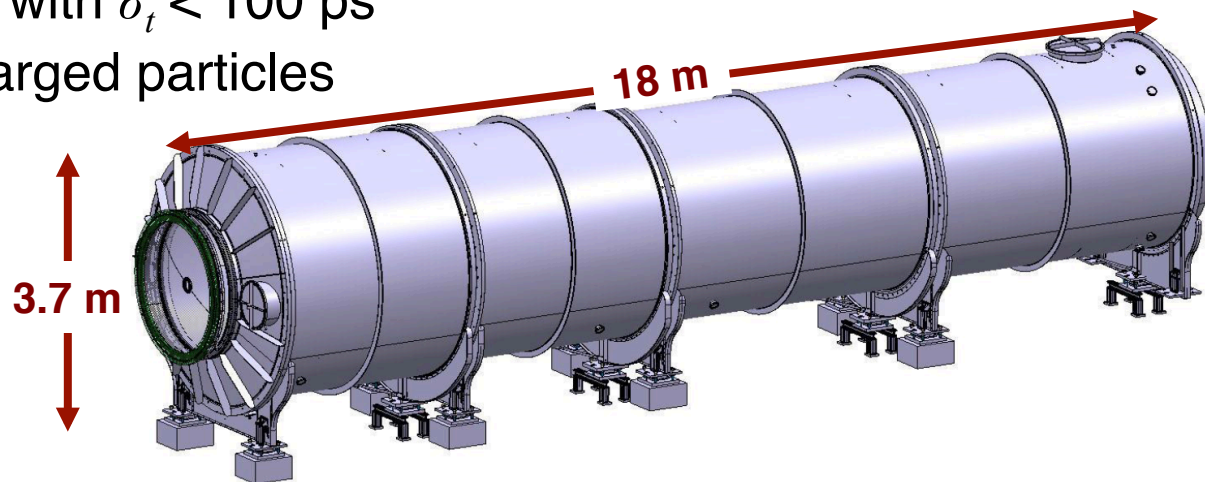
- Used offline to provide principal veto for $K \rightarrow \mu\nu$
- Rejects μ to 10^{-5}

MUV3: Fast μ identification for trigger

- Vetoes μ online at 10 MHz with $\sigma_t < 1$ ns

RICH provides additional 10^{-2} μ rejection to exclude $K \rightarrow \mu\nu$

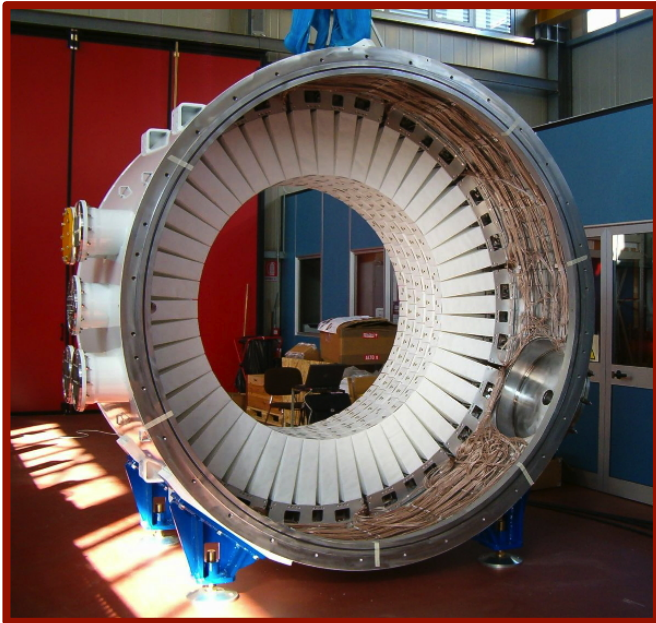
- μ/π separation to better than 1% for $15 < p < 35$ GeV
- Measures π crossing time with $\sigma_t < 100$ ps
- Provides L0 trigger for charged particles
- Ne gas at 1 atm
- $p_{\text{thresh}} = 12$ GeV for π
- 2000 8-mm PMTs on upstream flanges



Photon veto detectors

Large-angle vetoes (LAV)

$8.5 < \theta < 50$ mrad



12 stations at intervals of ~ 10 m along vacuum decay volume

4-5 rings/station of lead glass blocks salvaged from OPAL EM barrel calorimeter

$1-\varepsilon$ for e^- at 200 MeV: $(1 \pm 1) \times 10^{-4}$

Tagged e^- at Frascati BTF

NA48 liquid krypton calorimeter (LKr)

$1 < \theta < 8.5$ mrad



Quasi-homogeneous ionization calorimeter

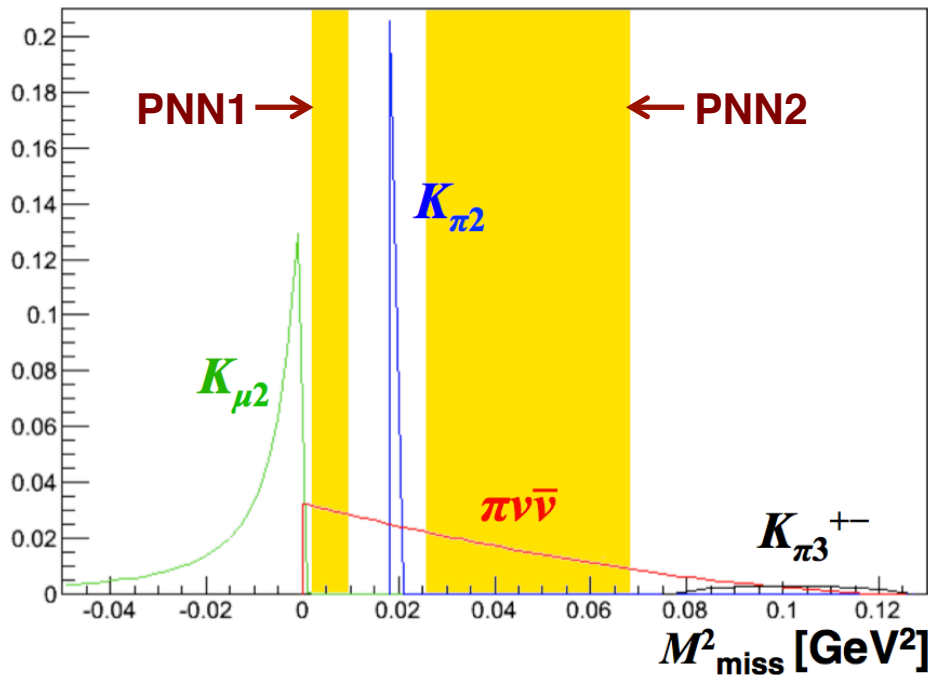
Readout towers 2×2 cm² - 13248 channels

Depth 127 cm = $27 X_0$

$1-\varepsilon$ for γ with $E > 10$ GeV: $< 8 \times 10^{-6}$

$\pi\pi^0$ and e^- bremsstrahlung events in NA48

Performance for $K^+ \rightarrow \pi^+ \nu \bar{\nu}$



Acceptance: ~12%

3% in PNN1 region

9% in PNN2 region

50% loss from momentum cut

Detector inefficiencies included

45 signal events/yr

- 1 track with $15 < p_\pi < 35$ GeV and π PID in RICH
- No γ s in LAV, LKr, IRC, SAC
- No μ s in MUVs
- 1 beam particle in Gigatracker with K PID by KTAG
- z_{vtx} in 60 m fiducial volume

Expected backgrounds

$K^+ \rightarrow \pi^+ \pi^0$	11%
$K^+ \rightarrow \pi^+ \pi^0 \gamma_{\text{IB}}$	3%
$K^+ \rightarrow \mu^+ \nu$	2%
$K^+ \rightarrow \mu^+ \nu \gamma_{\text{IB}}$	1%
$K^+ \rightarrow \pi^+ \pi^+ \pi^-$	< 2%
K^+_{e4} , other 3 track decays	< 2%
$K^+_{e3}, K^+_{\mu3}$	negligible
Total	< 20%

NA62 sensitivity for LFNV decays



Decays in FV in
2 years of data

$$\left\{ \begin{array}{l} 1 \times 10^{13} K^+ \text{ decays} \\ 2 \times 10^{12} \pi^0 \text{ decays} \end{array} \right.$$

Single-event sensitivity
 $1/(\text{decays} \times \text{acceptance})$

Mode	UL at 90% CL	Experiment	NA62 acceptance*
$K^+ \rightarrow \pi^+ \mu^+ e^-$	1.3×10^{-11}	BNL 777/865	~10%
$K^+ \rightarrow \pi^+ \mu^- e^+$	5.2×10^{-10}	BNL 865	
$K^+ \rightarrow \pi^- \mu^+ e^+$	5.0×10^{-10}	BNL 865	~10%
$K^+ \rightarrow \pi^- e^+ e^+$	6.4×10^{-10}	BNL 865	~5%
$K^+ \rightarrow \pi^- \mu^+ \mu^+$	1.1×10^{-9}	NA48/2	~20%
$K^+ \rightarrow \mu^- \nu e^+ e^+$	2.0×10^{-8}	Geneva Saclay	~2%
$K^+ \rightarrow e^- \nu \mu^+ \mu^+$	no data		~10%
$\pi^0 \rightarrow \mu^+ e^-$	3.6×10^{-10}	KTeV	~2%
$\pi^0 \rightarrow \mu^- e^+$			

* From fast Monte Carlo simulation with flat phase-space distribution. Includes trigger efficiency.

NA62 single-event sensitivities:
 $\sim 10^{-12}$ for K^+ decays
 $\sim 10^{-11}$ for π^0 decays

Lepton number violation: $K^\pm \rightarrow \pi^\mp \mu^\pm \mu^\pm$



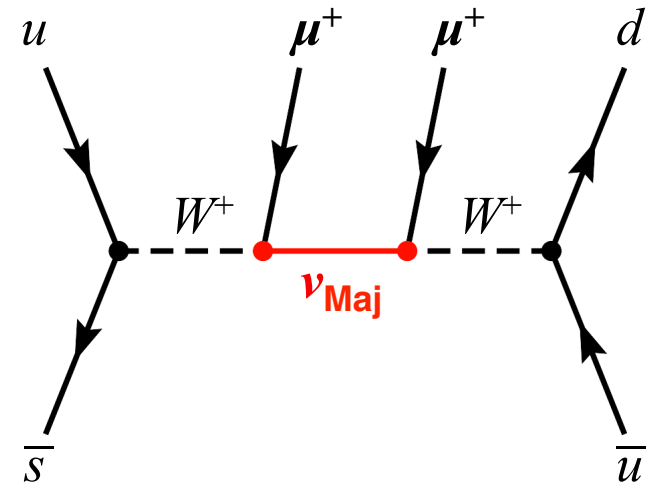
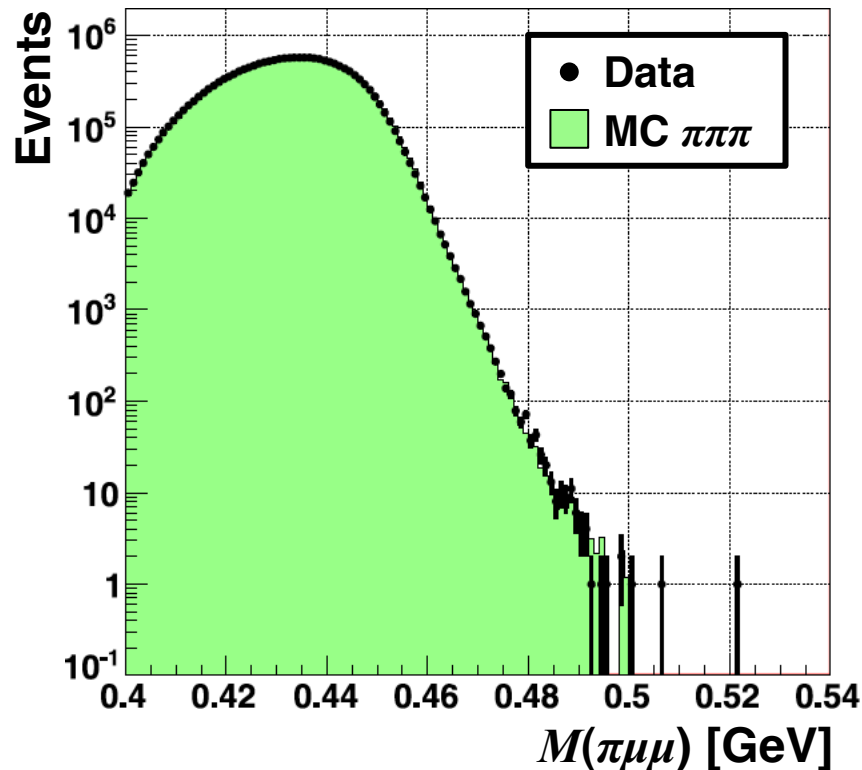
LNV in $K^\pm \rightarrow \pi^\mp \mu^\pm \mu^\pm$ could provide evidence for Majorana nature of neutrino

NA48/2 (2011) PLB697

$\text{BR}(\pi^\mp \mu^\pm \mu^\pm) < 1.1 \times 10^{-9}$ 90%CL

$\langle M_{\mu\mu} \rangle < 0.3$ TeV

Like-sign muons ($\pi^\mp \mu^\pm \mu^\pm$)



NA48/2

52 candidate events with $M(\pi\mu\mu) \sim m_K$

In agreement with MC background prediction

- Unusual $\pi\pi\pi$ topology with 2 $\pi \rightarrow \mu$ decays
- 1 of $\pi \rightarrow \mu$ between magnet & last DC

NA62

60x increase in kaon flux

Increased p_\perp kick in will eliminate $K_{\pi 3}$ background without p_π cut

Potential sensitivity $\sim 10^{-12}$

Rare π^0 decays in NA62



2×10^{12} π^0 decays in FV in 2 years of data will allow substantial improvement of results in many channels

Mode	Current knowledge	Experiment	Expectation in SM	Physics interest
Neutral modes				
$\pi^0 \rightarrow 3\gamma$	$\text{BR}_{90\text{CL}} < 3.1 \times 10^{-8}$	Crystal Box	Forbidden	Violates C
$\pi^0 \rightarrow 4\gamma$	$\text{BR}_{90\text{CL}} < 2 \times 10^{-8}$	Crystal Box	$\text{BR} \sim 10^{-11}$	Scalar states $\pi^0 \rightarrow SS$
$\pi^0 \rightarrow \text{inv}$	$\text{BR}_{90\text{CL}} < 2.7 \times 10^{-7}$	BNL 949	$\text{BR} < 10^{-13}$ (cosm. limit)	N_ν , LFV
Charged modes				
$\pi^0 \rightarrow e^+e^-e^+e^-$	$\text{BR} = 3.34(16) \times 10^{-5}$	KTeV	$3.26(18) \times 10^{-5}$	Off-shell vectors
$\pi^0 \rightarrow e^+e^-\gamma$	$\text{BR}_{95\text{CL}}(\pi^0 \rightarrow U\gamma):$ $< 1 \times 10^5, M_U = 30 \text{ MeV}$ $< 3 \times 10^6, M_U = 100 \text{ MeV}$	WASA/COSY	Null result	Dark forces

Experimental status



Installing/installed: **KTAG, LAV (8/12), CHOD, LKr (readout), SAC**
Under construction: **Gigatracker, CHANTI, STRAWS, RICH, IRC, MUV**
NA62 will take 2 years of data starting late 2014

Rare kaon decays are powerful probes for new physics

- $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ highly suppressed and precisely calculated in the SM

NA62 will measure $\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu})$ to 10%

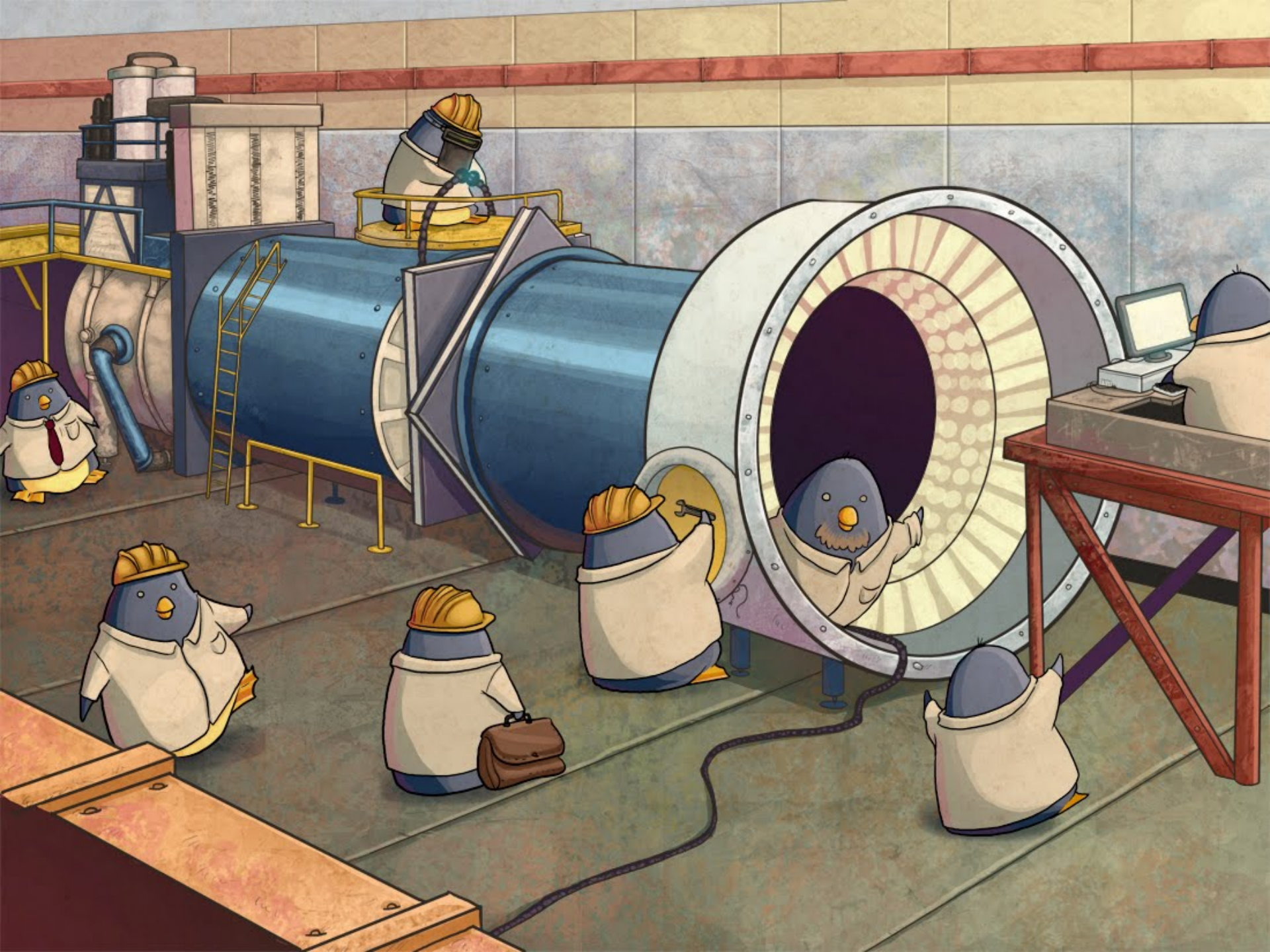
- Will shed light on flavor structure of new physics if discovered at LHC
- May provide evidence for new physics even if not discovered at LHC

NA62 is well adapted to search for other rare/forbidden K and π decays

- Copious production of K^+ and π^0
- Robust background rejection: tracking, PID, vetoes

NA62 will take two years of data starting in late 2014

- $\sim 10^{13}$ K^+ decays in the fiducial volume
- $\sim 10\%$ acceptance (including trigger efficiency) for LFNV decays
- Single event sensitivities $\sim 10^{-12}$ for LFNV decays and improved sensitivity for related searches



K12 high-intensity K^+ beamline



Primary SPS proton beam:

- $p = 400$ GeV protons
- 3×10^{12} protons/pulse ($3 \times \text{NA48/2}$)
- Duty factor ~ 0.3

Expect similar to 4.8s/16.8 s duty cycle for NA48/2
Simultaneous beam delivery to LHC

High-intensity, unseparated secondary beam

- Momentum selection chosen to optimize K decays
- $p = 75$ GeV ($1.4 \times$ more K^+ than NA48/2)
- $\Delta p/p \sim 1\%$ ($3 \times$ smaller than NA48/2)
- Beam acceptance $12.7 \mu\text{str}$ ($32 \times \text{NA48/2}$)

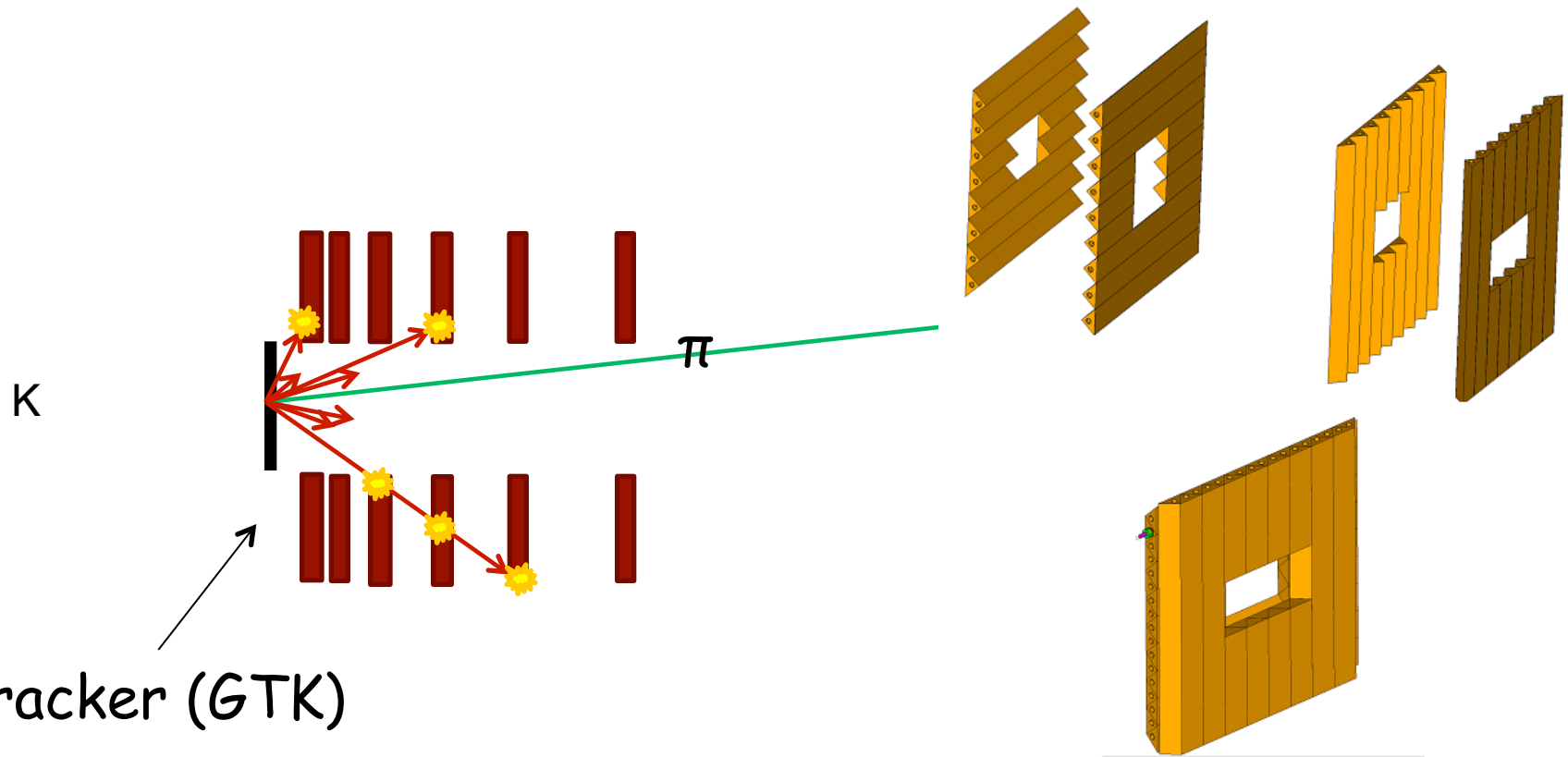
Total rate
750 MHz $\left\{ \begin{array}{l} 525 \text{ MHz } \pi \\ 170 \text{ MHz } p \\ 45 \text{ MHz } K \end{array} \right.$

Decay volume

- 60 m long, starting at $z = 102$ m from target
- 10% of K^+ decay in FV ($\beta\gamma c\tau = 560$ m)

$4.5 \times 10^{12} K^+$ decays/yr = $45 \times \text{NA48/2}$

CHANTI



Hermetic photon vetoes

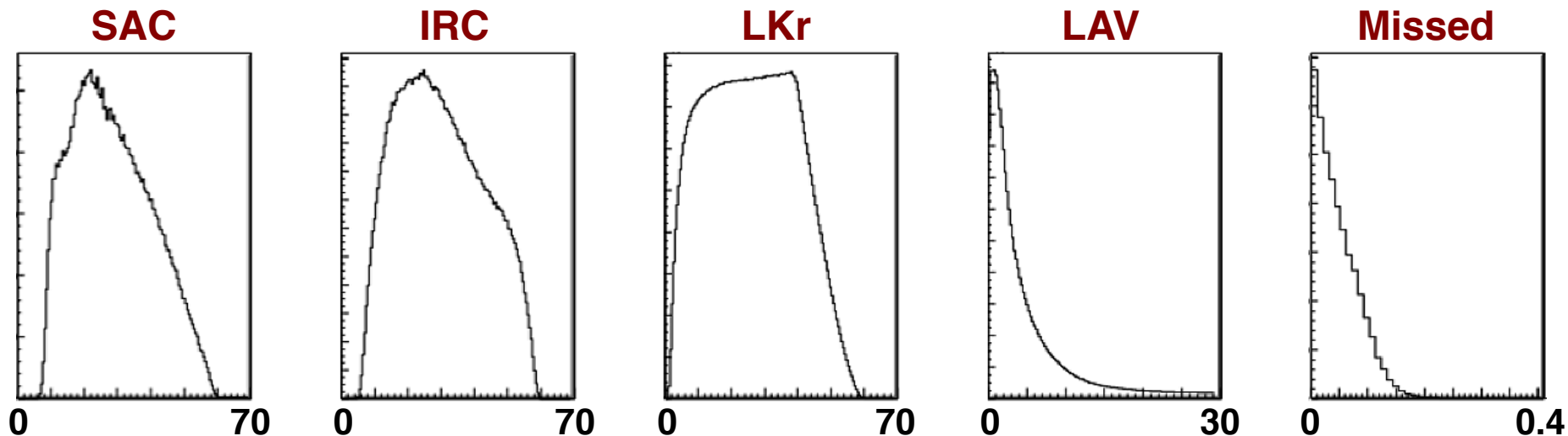
$$\text{BR}(K^+ \rightarrow \pi^+ \pi^0) = 21\%$$

- Kinematic rejection ($M^2_{\text{miss}} = 10^{-4}$)
- Cut $p_{\pi^+} < 35$ GeV gives $\pi^0 \rightarrow \gamma\gamma$ with 40 GeV
- Remaining events have 2γ in one of three configurations:

- 81.2%** Both γ in forward vetoes
- 18.6%** 1γ in forward vetoes, 1γ in LAVs
- 0.2%** 1γ in LAVs, 1γ undetected

Detector	θ [mrad]	Max. $1 - \varepsilon$
LAV	8.5 - 50	10^{-4} at 200 MeV
LKr	1 - 8.5	10^{-3} at 1 GeV 10^{-5} at 10 GeV
IRC+SAC	< 1	10^{-4} at 5 GeV

Photon energy deposited in detector [GeV]



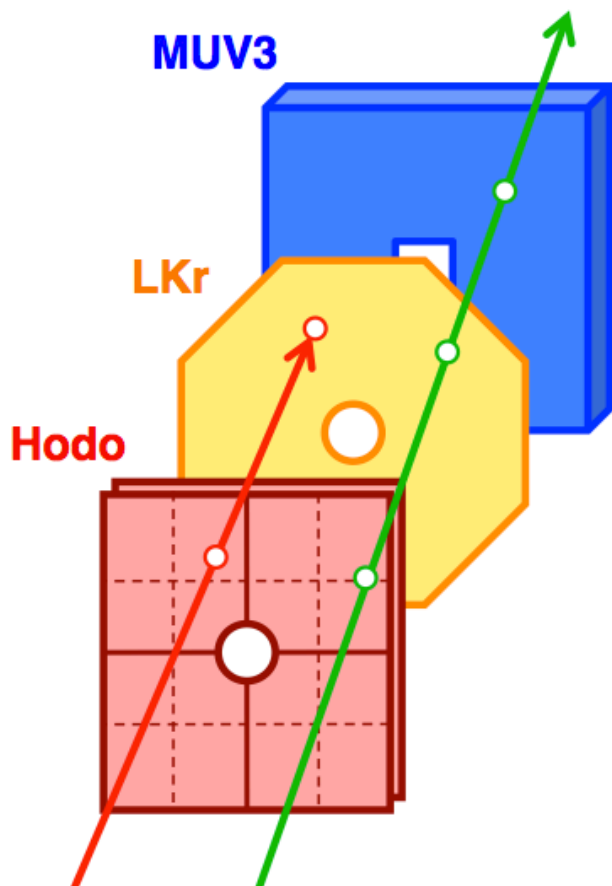
Trigger and data acquisition

Example L0 trigger primitives:

Q_n Hits in at least n Hodo quadrants

$LKR_n(x)$ At least n LKr clusters with energy $E > x$ GeV

MUV_n Hits in at least n MUV3 pads



10 MHz L0 primitives

L0

Implemented on digital readout card
Example L0 trigger for $K^+ \rightarrow \pi^+ \nu \bar{\nu}$:

$$Q_1 \cdot LKR_1 \cdot \overline{MUV}$$

1 MHz L0 output

L1

Asynchronous
Implemented in L1 trigger processor PC

100 kHz L1 output

L2

Asynchronous
Implemented in event builder PC
First level to correlate information from different subdetectors

O(kHz) L2 output to disk

Beam timing and PID

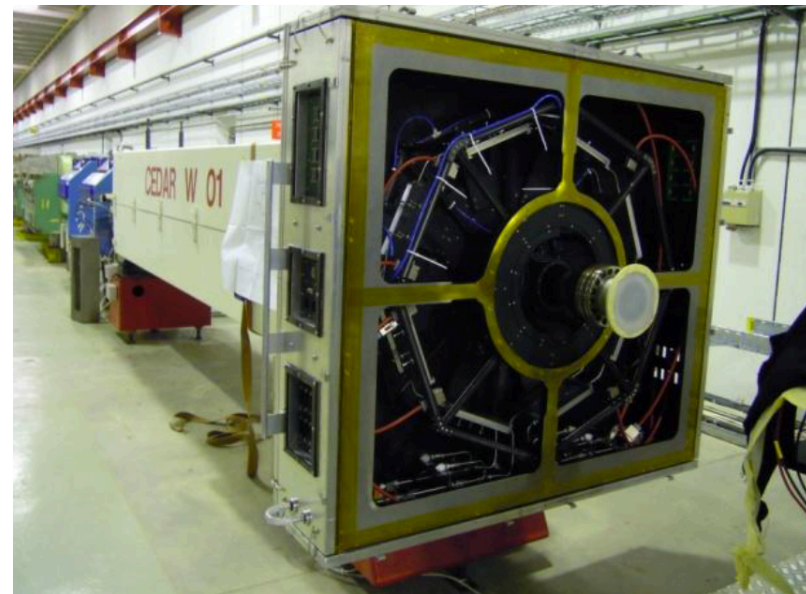


Matching downstream π track to wrong beam particle leads to $3\times$ increase in $\sigma(m_{\text{miss}})$
 Use detectors with good time resolution to avoid mismatching:

Gigatracker: $\sigma_t < 200$ ps/station] Mismatch probability $< 1\%$ Still accounts for half of kinematic rejection inefficiency
KTAG: $\sigma_t = 100$ ps	
RICH: $\sigma_t < 100$ ps	

Non-destructive beam PID using KTAG differential Cerenkov counter

- Identifies 45 MHz of K^+ in 750 MHz of unseparated beam
- Beam ID fundamental to suppress background from beam-gas interactions
 - Without KTAG, need 10^{-6} mbar vacuum in decay tank!
- Original CEDAR-W design, now running with H_2 at 3.85 bar
- Completely new, high segmentation readout



Rare π^0 decays in NA62

Search for U boson in $\pi^0 \rightarrow e^+e^-\gamma$ decay

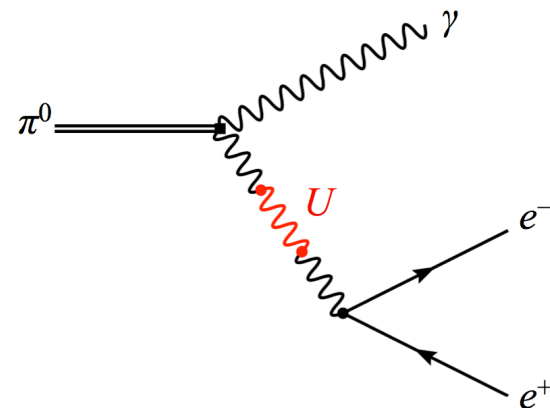
New, light vector gauge boson with weak couplings to charged SM fermions

Could mediate interactions of dark-matter constituents

Expect to collect $\sim 10^8$ $\pi^0 \rightarrow e^+e^-\gamma$ decays/year

Mass resolution $M_{ee} \sim 1$ MeV

Potential for $\sim 100\times$ improvement in BR limit for $30 < M_U < 100$ MeV



Search for $\pi^0 \rightarrow$ invisible

$\pi^0 \rightarrow \nu\bar{\nu}$ forbidden by angular momentum conservation if ν s are massless

For a given flavor of massive $\bar{\nu}$, $\text{BR}(\pi^0 \rightarrow \nu\bar{\nu})$ directly related to m_ν

Direct experimental limit:

BNL 949 (2005)

$\text{BR}(\pi^0 \rightarrow \text{inv}) < 2.7 \times 10^{-7}$ 90%CL

Inferred limits on $\text{BR}(\pi^0 \rightarrow \nu\bar{\nu})$ from:

Measured ν_τ mass: $< 5 \times 10^{-10}$

Astrophysics/cosmology: $< 3 \times 10^{-13}$

Experimental signature identical to $K^+ \rightarrow \pi^+\nu\bar{\nu}$

Only difference: in $K^+ \rightarrow \pi^+\pi^0$, $\pi^0 \rightarrow$ invisible, π^+ has 2-body decay kinematics

Limit $\text{BR}(\pi^0 \rightarrow \text{invisible})$ to less than 10^{-9} , $\sim 100\times$ better than present limits

NA62 prospects for $\pi^0 \rightarrow 3\gamma, 4\gamma$

Main backgrounds: $K \rightarrow \pi\pi^0(\gamma)$ and $K \rightarrow \pi\pi^0\pi^0$ with $\pi^0 \rightarrow 2\gamma$

Trigger **Level 0:** Dedicated trigger to reduce rates to acceptable levels while maintaining reasonable efficiencies

E.g., for $\pi^0 \rightarrow 3\gamma$: $\mathbf{Q_1 \cdot LKR_{=3}(1\ GeV)^* \cdot \overline{MU\overline{V}}}$

Level 1: Refine using kinematics reconstructed in LKr

$M_{3\gamma}$ vs. p_{π}^{CM}

Analysis Use veto detectors to reject extra photons (for $\pi^0 \rightarrow 3\gamma$)
Kinematic fit to complete event to provide an additional rejection factor of 10^{-4}

Potential **Sensitivity to BRs $\sim 10^{-10}$**
 $\sim 100\times$ better than present limits

* Possibly with optimized LKR trigger segmentation

NA62 prospects: $\pi^0 \rightarrow \text{invisible}$

Experimental signature identical to $K^+ \rightarrow \pi^+ \nu \bar{\nu}$

Only difference: in $K^+ \rightarrow \pi^+ \pi^0$, $\pi^0 \rightarrow \text{invisible}$, π^+ has 2-body decay kinematics

Trigger Baseline level-0 criteria same as for $K^+ \rightarrow \pi^+ \nu \bar{\nu}$

$$\mathbf{Q}_1 \cdot \mathbf{LKR}_1 \cdot \overline{\mathbf{MUV}}$$

Refinements possible, e.g., inclusion of LAV at L0 or L1

Dominant contribution to trigger rate is from π^+/γ overlap with 1 missed γ

Analysis Stringent track-quality requirements for π^+
Cuts on p_{π^+} , θ_{π^+} to minimize γ s at large angle and increase π^0 rejection

Less help from kinematics than in $K^+ \rightarrow \pi^+ \nu \bar{\nu}$, but hope to improve on NA62 π^0 rejection by at least 10x

Potential Limit $\text{BR}(\pi^0 \rightarrow \text{invisible})$ to less than 10^{-9}
 $\sim 100\times$ better than present limits