

dE/dx in Babar data and fastsim

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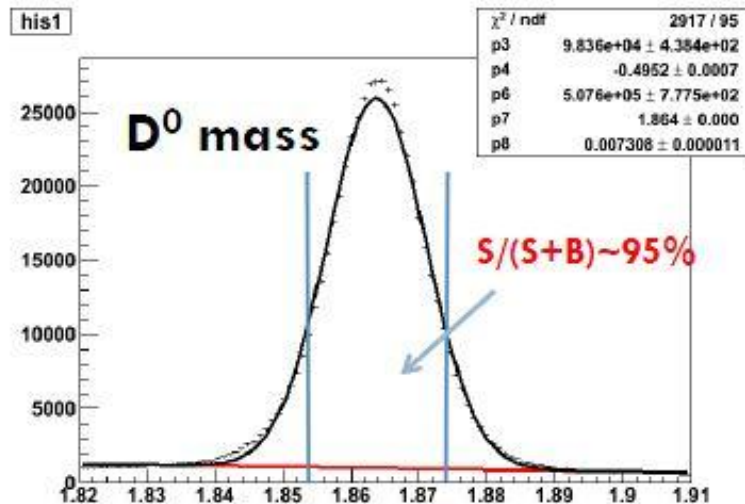
30 March 2012

Selection of pions, kaons and dimuons samples in Babar data

- Selection of $D^{*+} \rightarrow D^0 \pi^+$, $D^0 \rightarrow K^- \pi^+$ (+ c.c.)

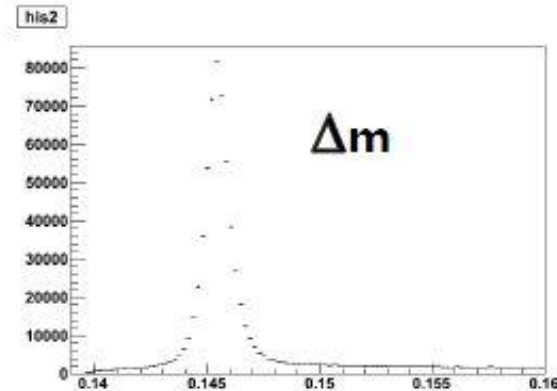
$$|m_{D^0} - \langle m_{D^0} \rangle| < 1.5 \sigma$$

$$144.45 < \Delta m < 146.45 \text{ MeV}$$



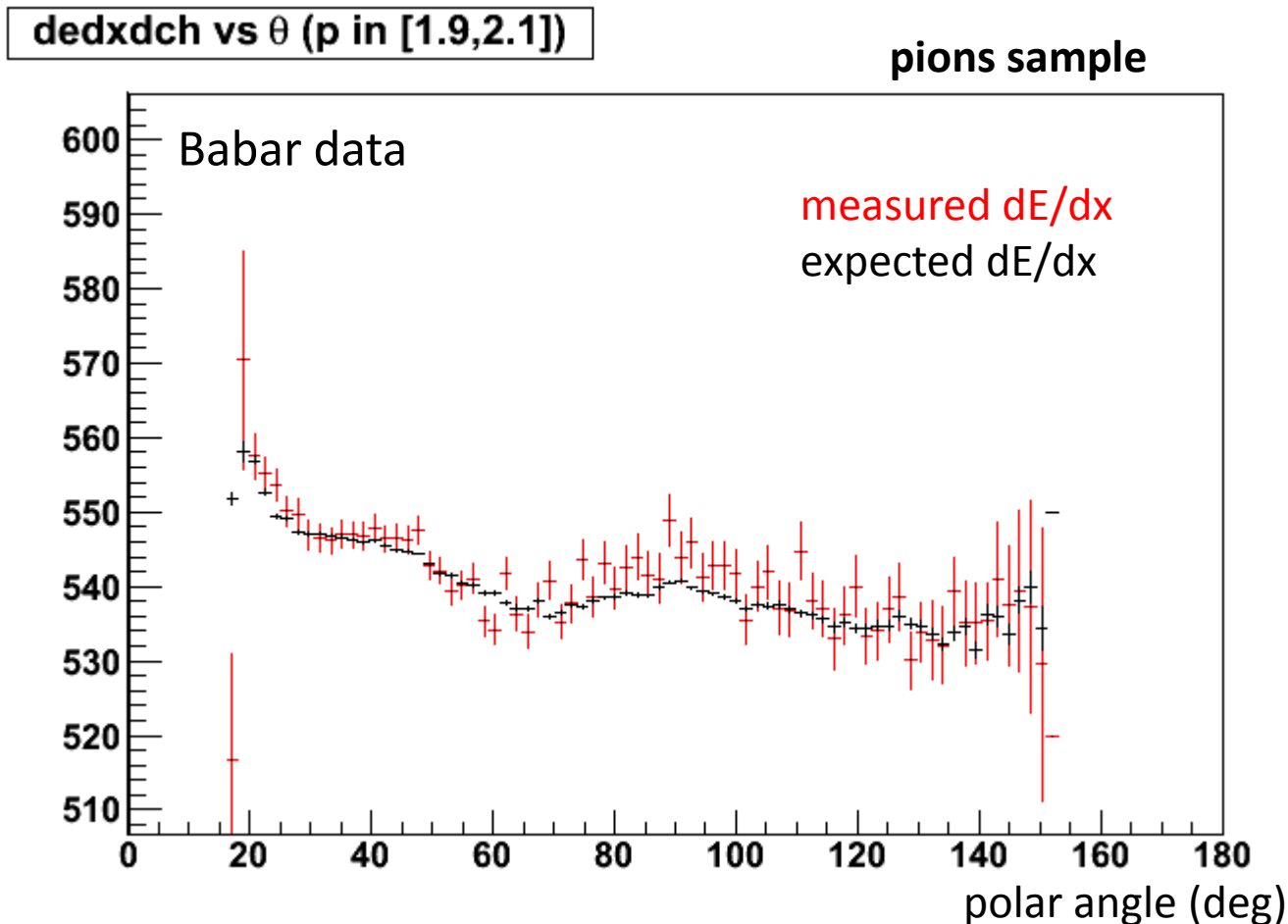
see also

<http://agenda.infn.it/getFile.py/access?contribId=57&sessionId=3&resId=0&materialId=slides&confId=2262>



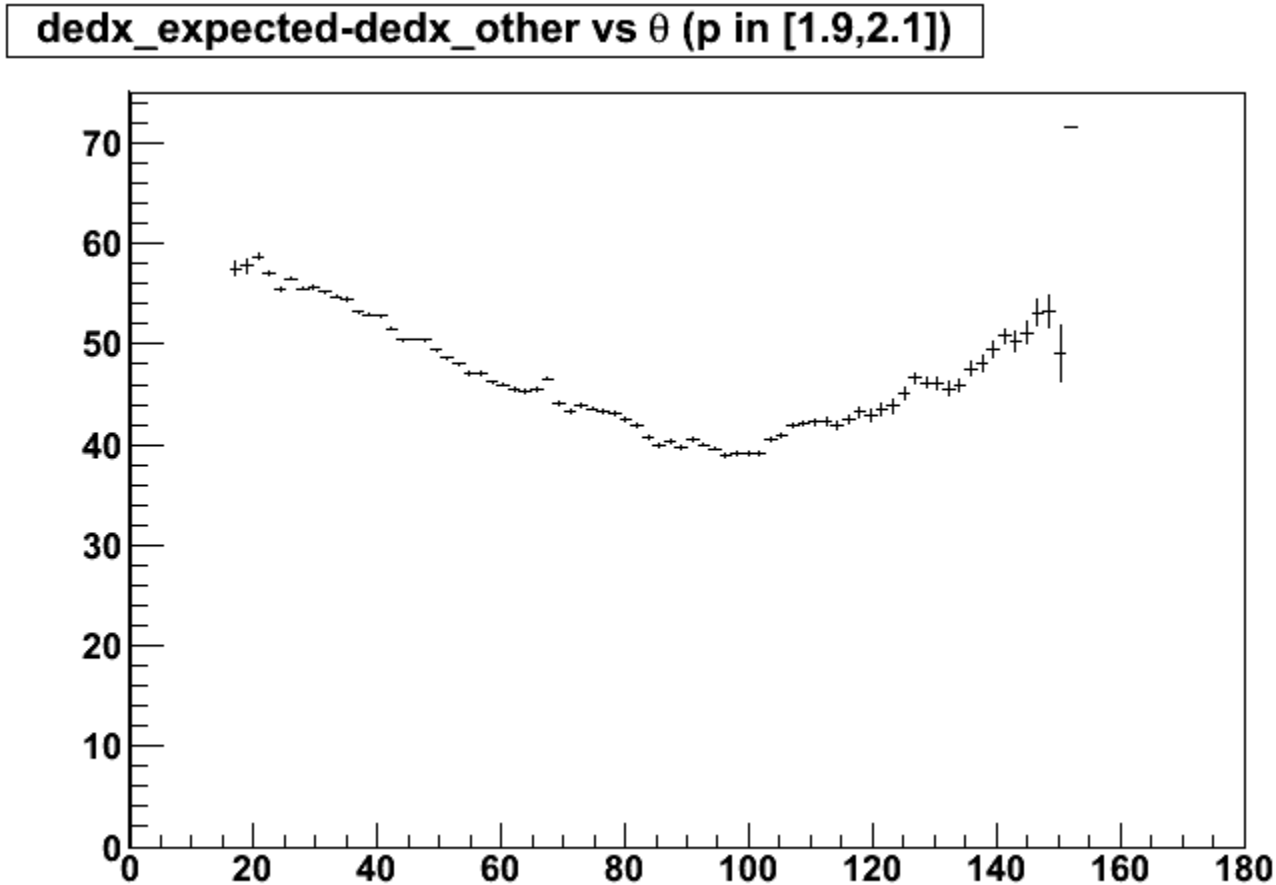
Babar PID ntuples, RUN6 data

Babar data: $\langle dE/dx \rangle$ and $dE/dx_{\text{expected}}(\text{pion})$ vs polar angle for 2GeV pions



The **mean value** of the measured dE/dx for 2GeV pions is **not** constant in polar angle. The expected dE/dx follows the same pattern.

Babar data: $dE/dx_{\text{expected}}(\text{pion}) - dE/dx_{\text{expected}}(\text{kaon})$ vs polar angle for 2GeV pions



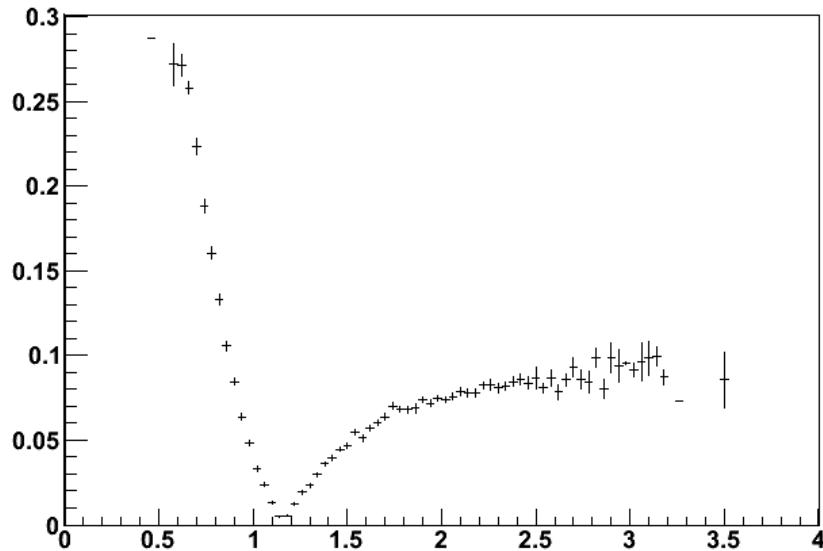
$dE/dx_{\text{expected}}(\text{pion}) - dE/dx_{\text{expected}}(\text{kaon})$ for $p=2\text{GeV}$.

The distribution is **not** constant over the polar angle

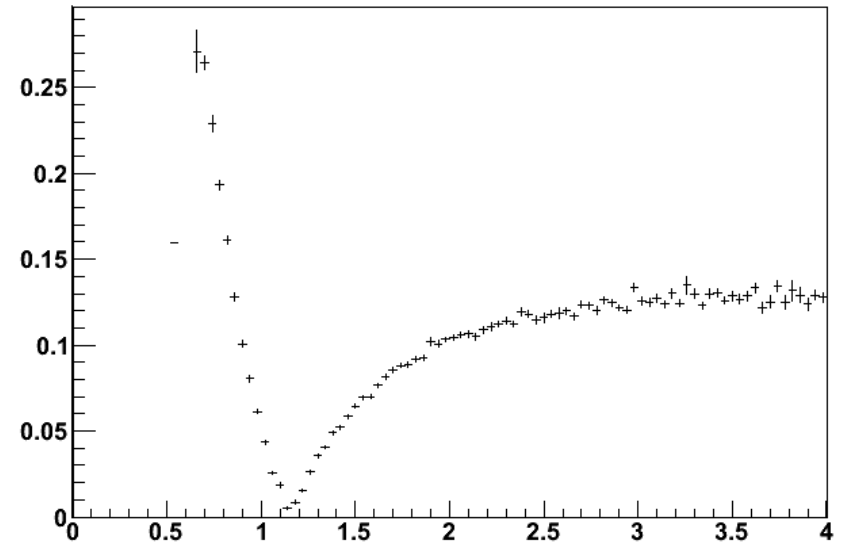
In FastSim the distribution is constant

Babar data: 'relative' pi/K separation vs p

fabs(dedx_pi-dedx_k)/dedxdch vs p (theta=90deg)

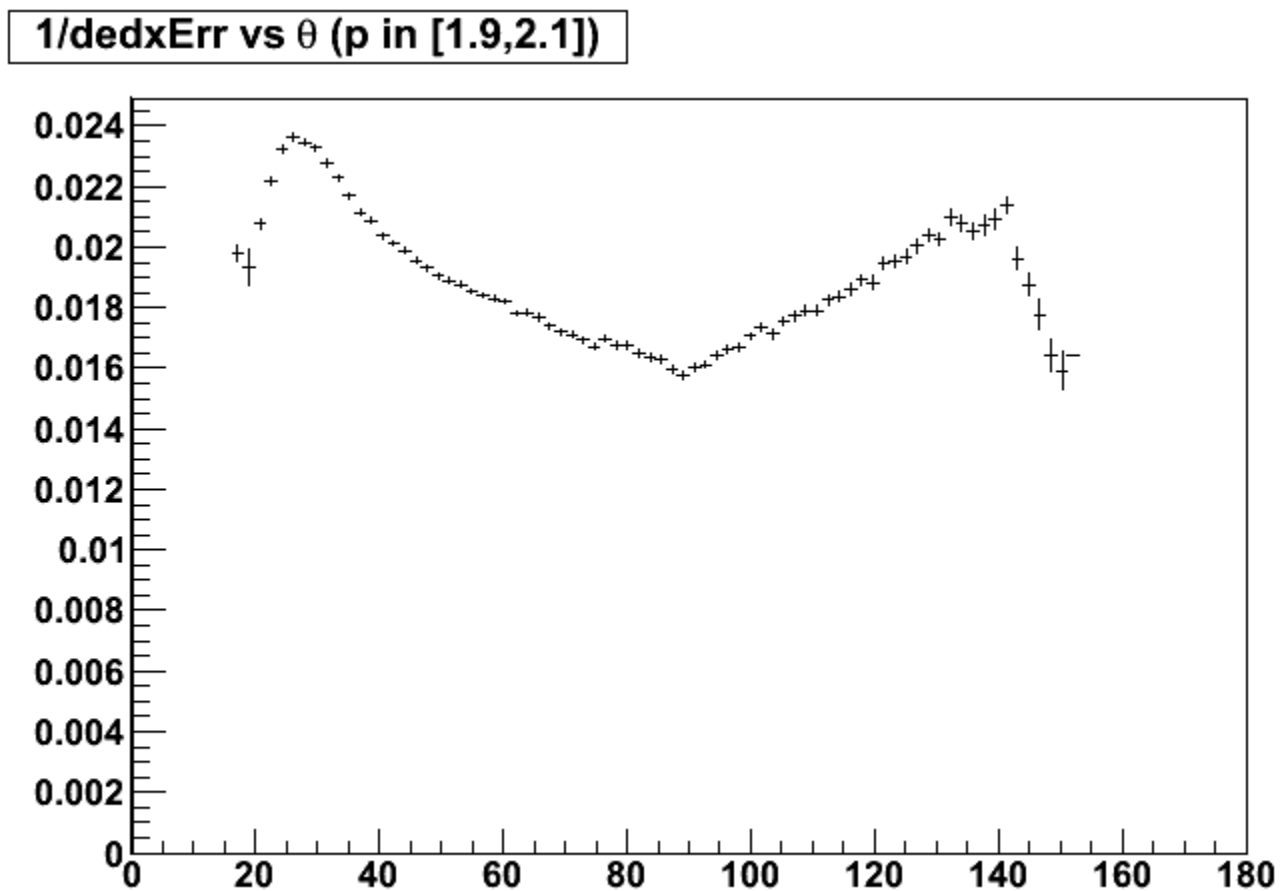


fabs(dedx_pi-dedx_k)/dedxdch vs p (theta=30deg)



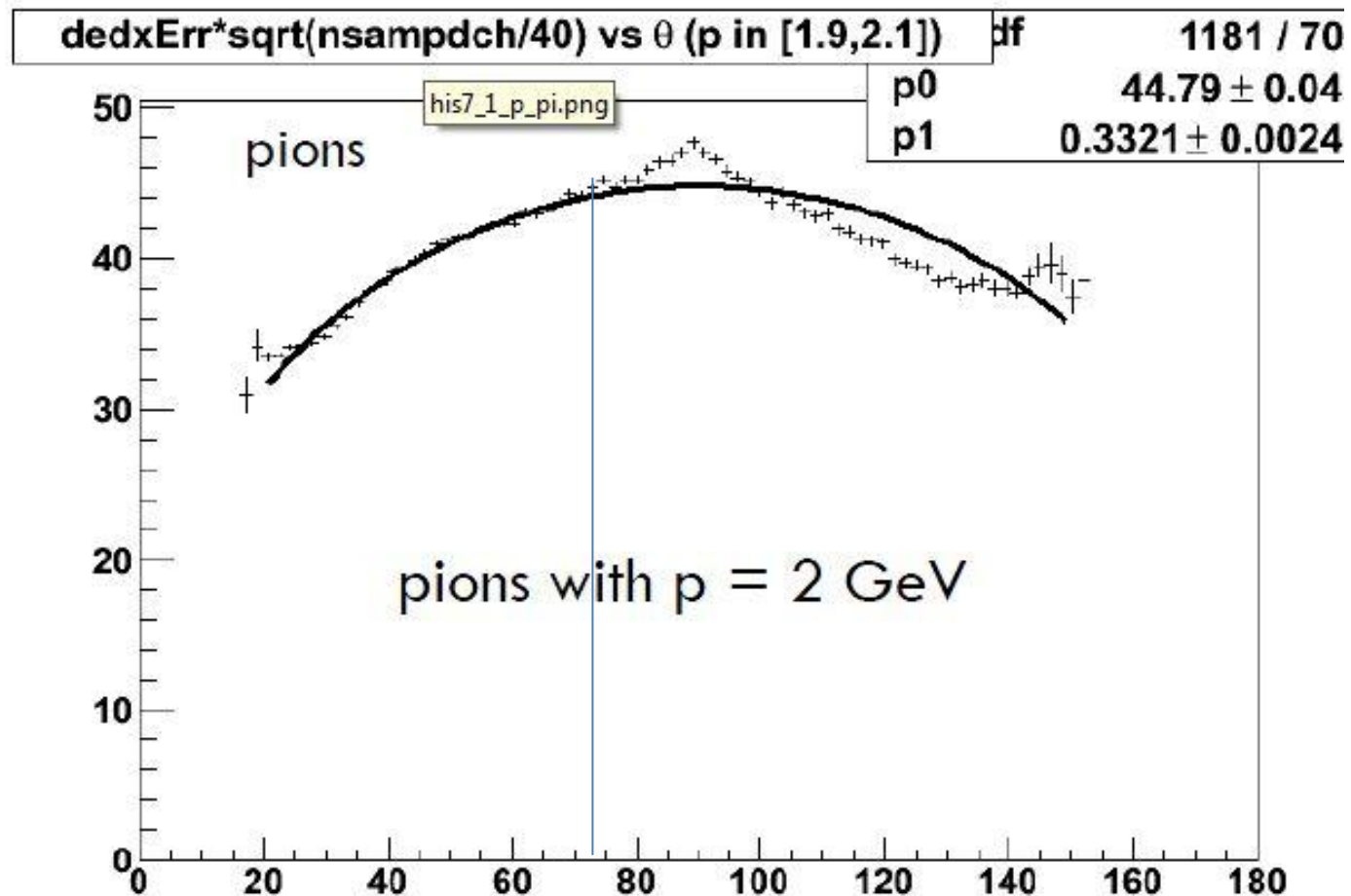
$|dE/dx_{\text{expected}}(\text{pion}) - dE/dx_{\text{expected}}(\text{kaon})| / dE/dx$ vs p for $\theta=90^\circ$ and $\theta=30^\circ$

Babar data: $1/(\text{dEdx error})$ vs polar angle



$1/\text{dEdx_error}$ vs polar angle for 2GeV pions

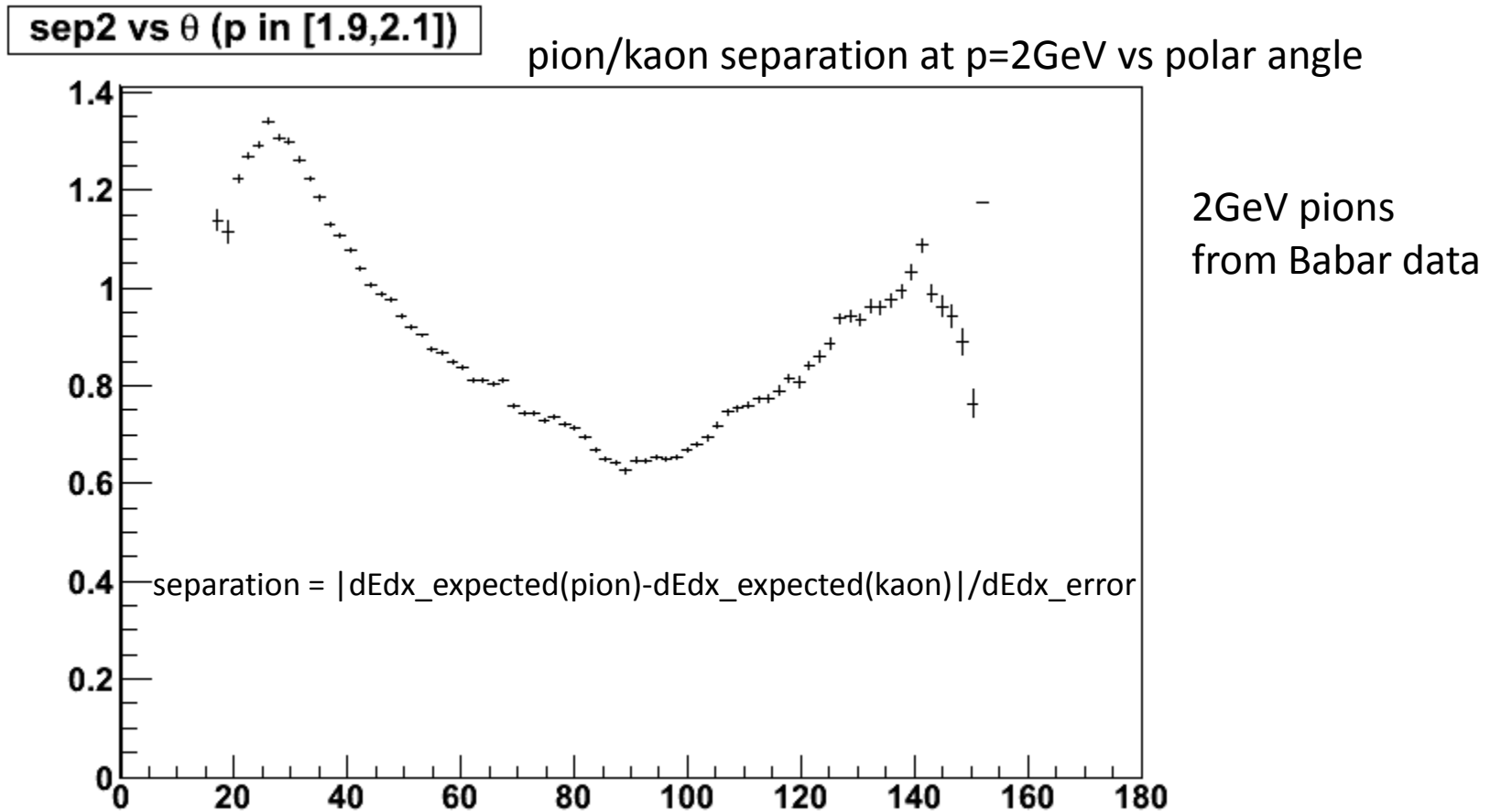
Babar data: modelization of dE/dx error vs polar angle



$dE/dx_error \cdot \sqrt{nsampDch}$ vs polar angle for 2 GeV pions.

The function fits well the distribution between $\theta=30$ and 70 . At $\theta=90$ the fit function underestimates the error. Note the asymmetry between fwd and bwd directions

Babar data: pion/kaon separation at $p=2\text{GeV}$ vs polar angle

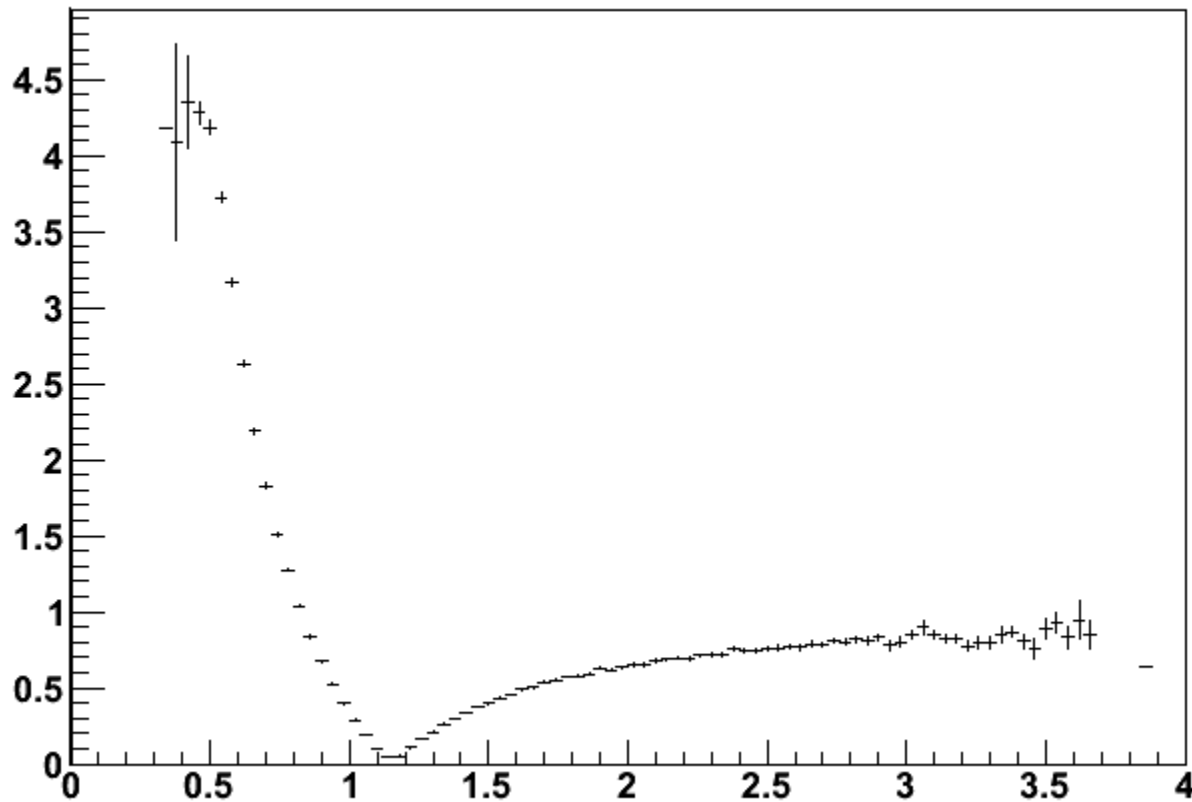


The separation at $\theta=30$ is twice the separation at $\theta=90$.

The peaked shape is the result of two contributions: $(dEdx_exp(\text{pion}) - dEdx_exp(\text{kaons}))$ and $1/dEdx_error$, both showing the same peaked pattern (sl. 4 and sl. 7)

Babar data: pi/K separation at $\theta=90^\circ$

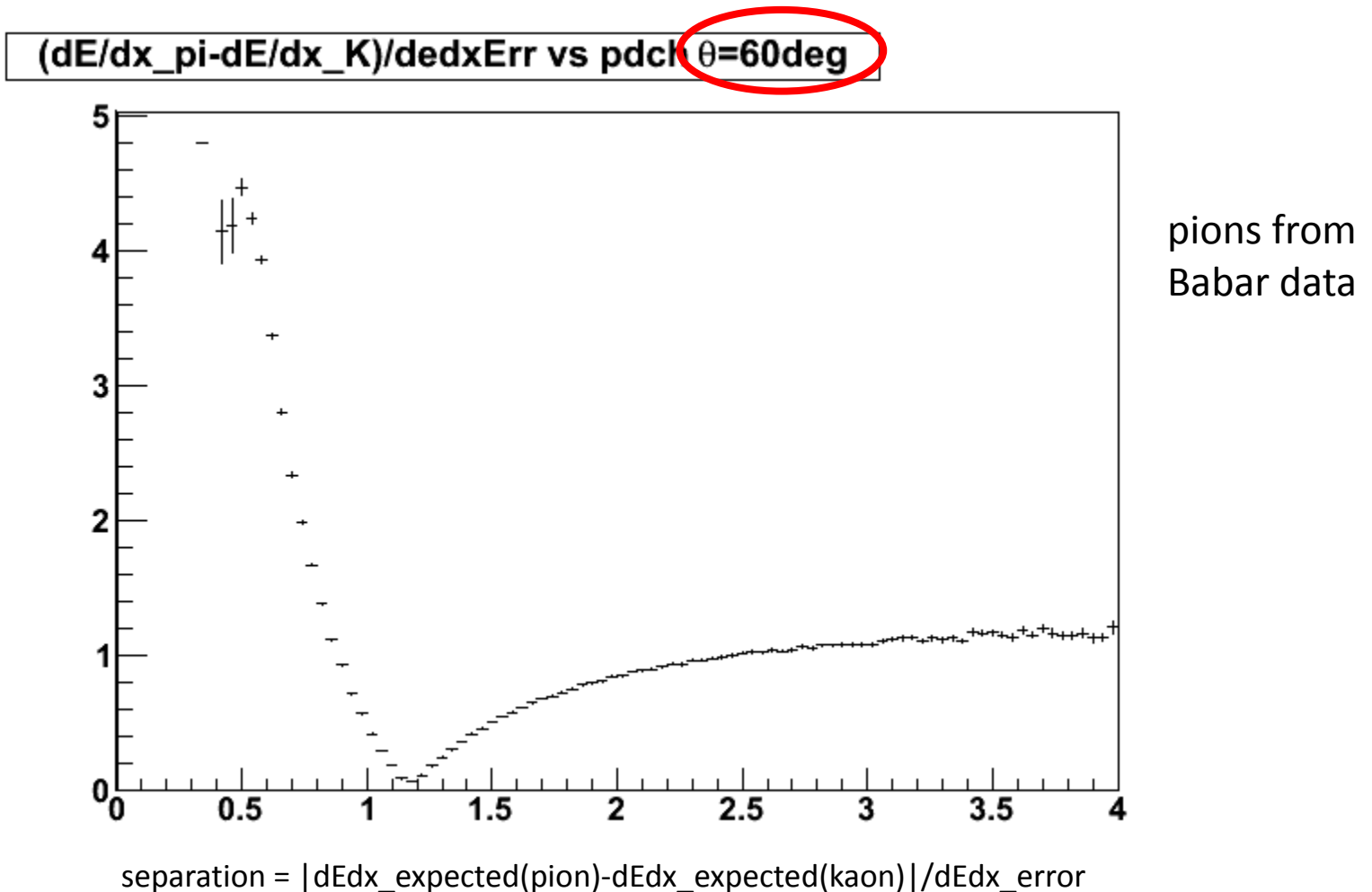
$(dE/dx_{\pi} - dE/dx_K) / dE/dx_{\text{Err}}$ vs $pdch$ $\theta=90^\circ$



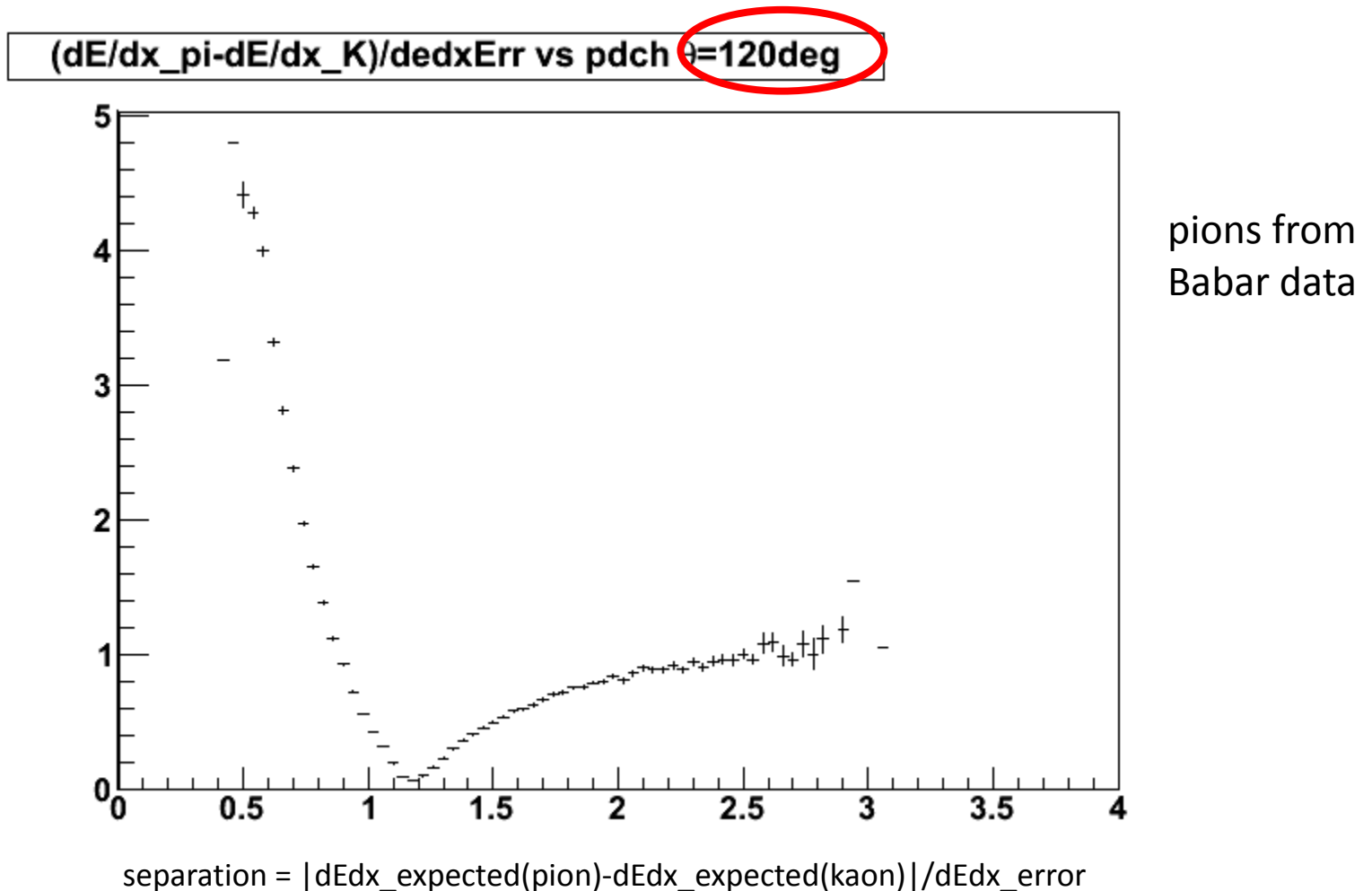
pions from
Babar data

separation = $|dE/dx_{\text{expected}}(\pi) - dE/dx_{\text{expected}}(K)| / dE/dx_{\text{error}}$

Babar data: pi/K separation at $\theta=60^\circ$

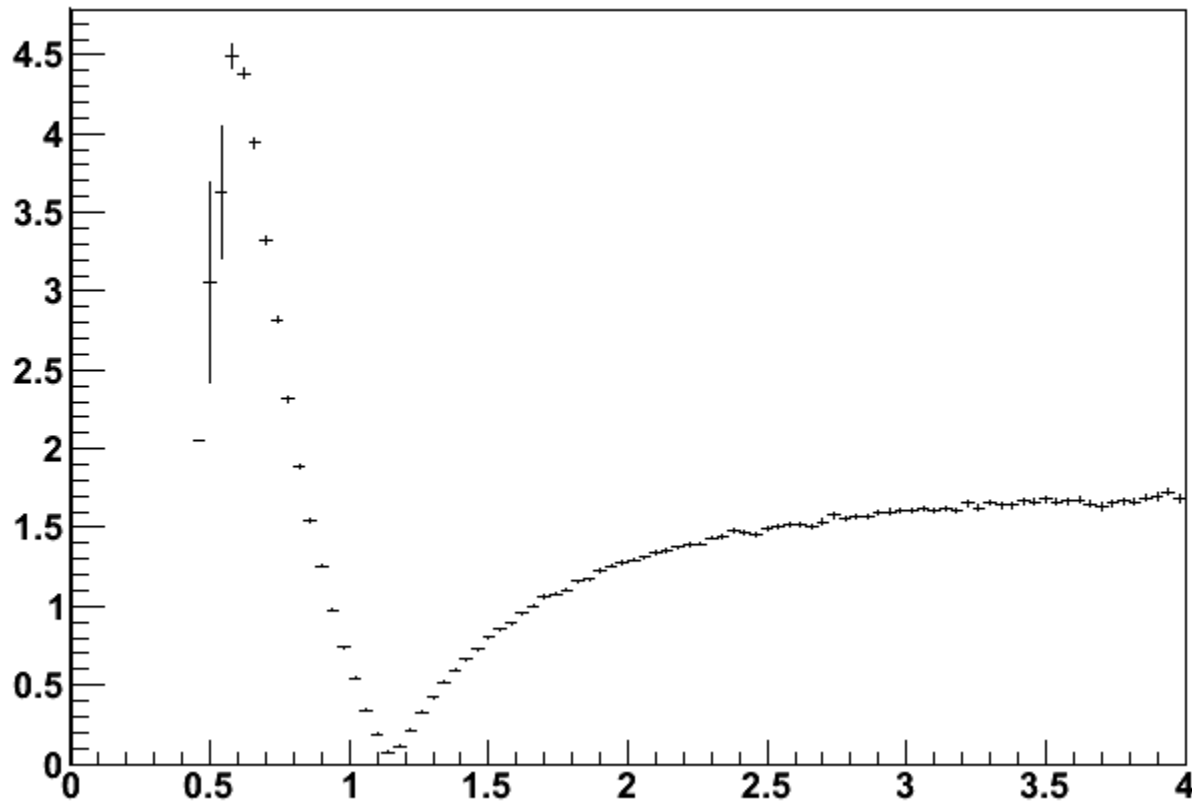


Babar data: pi/K separation at $\theta=120^\circ$



Babar data: pi/K separation at $\theta=30^\circ$

$(dE/dx_{\pi} - dE/dx_K) / dE/dx_{\text{Err}}$ vs $pdch$ $\theta=30^\circ$

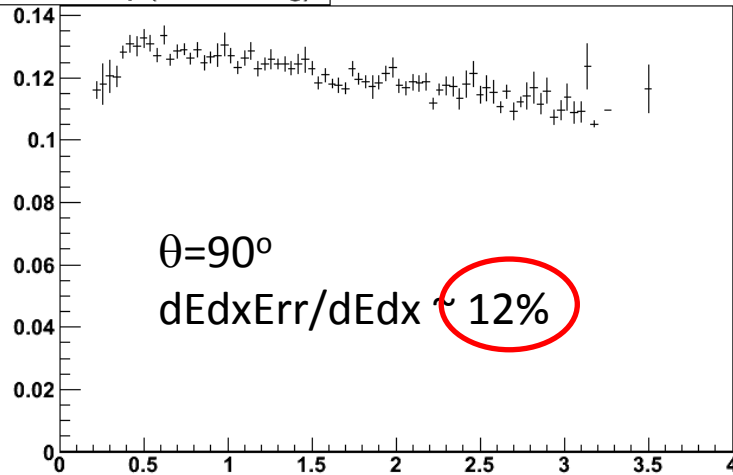


pions from
Babar data

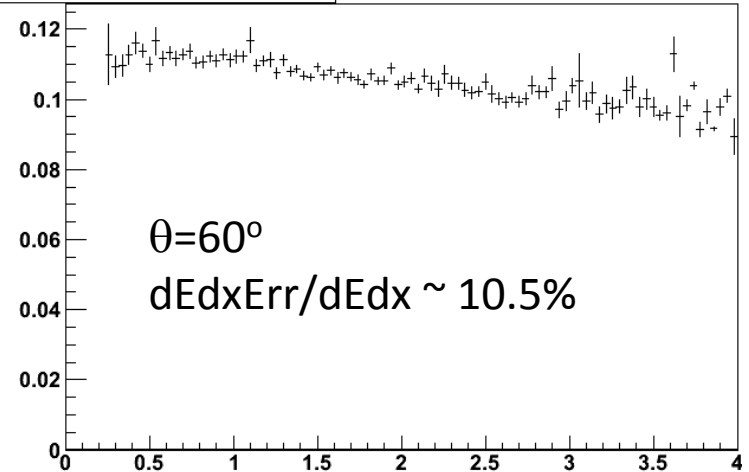
separation = $|dE/dx_{\text{expected}}(\pi) - dE/dx_{\text{expected}}(K)| / dE/dx_{\text{error}}$

Babar data: $dE_{dx}Err/dE_{dx}$ for pions

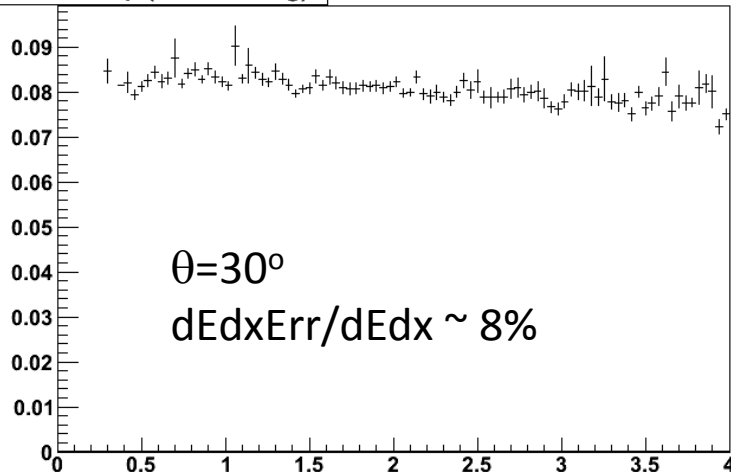
$dE_{dx}Err/dE_{dx}$ vs p ($\theta=90^\circ$)



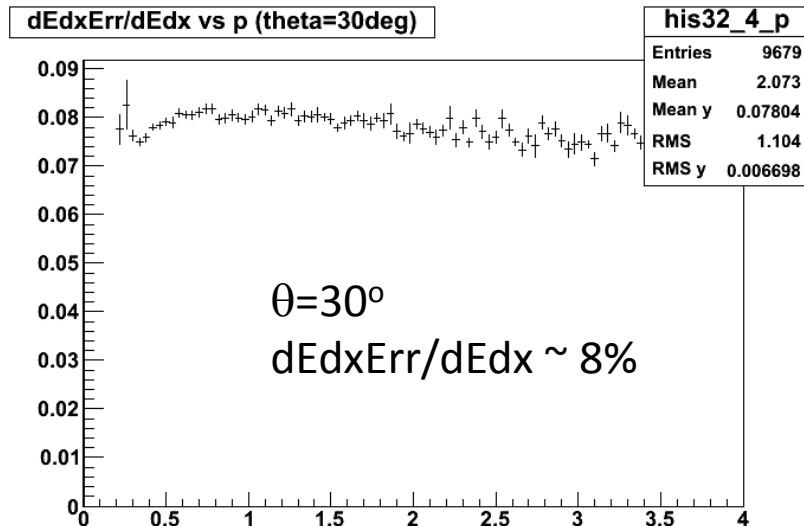
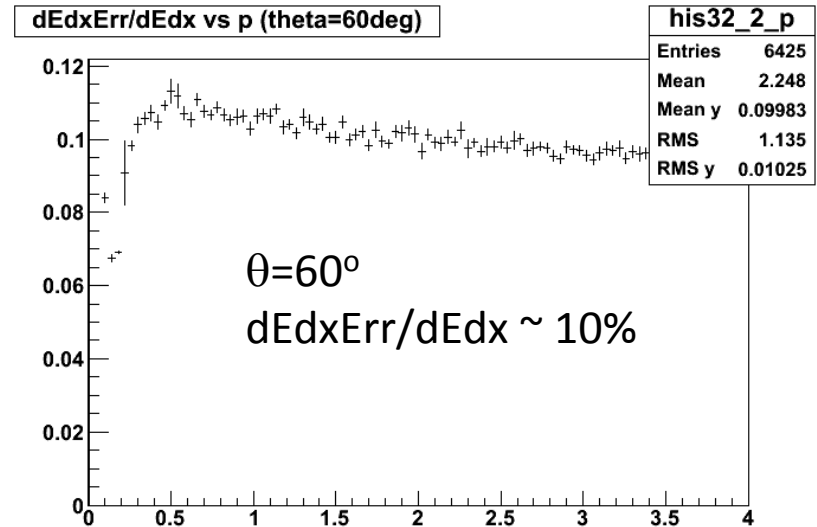
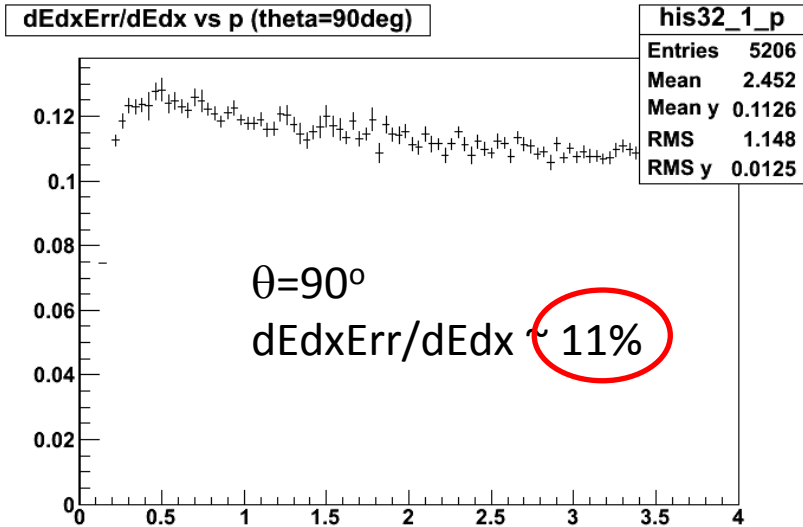
$dE_{dx}Err/dE_{dx}$ vs p ($\theta=60^\circ$)



$dE_{dx}Err/dE_{dx}$ vs p ($\theta=30^\circ$)



Babar data: dEdxErr/dEdx for muons



dE/dx simulation in FastSim

- $\langle dE/dx \rangle_{\text{hit}}$ is computed with the Bethe Bloch function and then smeared according to $\sigma(\langle dE/dx \rangle_{\text{hit}})$

(Gaussian smearing)

- $\sigma(\langle dE/dx \rangle_{\text{hit}})$ is parameterized as

$$\sigma\left(\frac{dE}{dx}\right) = \alpha \left(\frac{dE}{dx}\right)^{\beta} dx^{\gamma}$$

where α, β, γ parameters are chosen as:

α = tuned on Babar data

$\beta = 1$

γ = tuned on Babar data

step 1: determine γ

tuned according to fit in sl. 8

step 2: determine α

tuned according to Babar K/pi separation

- $\langle dE/dx \rangle_{\text{track}}$ is measured as a 'random' truncated average of $\langle dE/dx \rangle_{\text{hits}}$

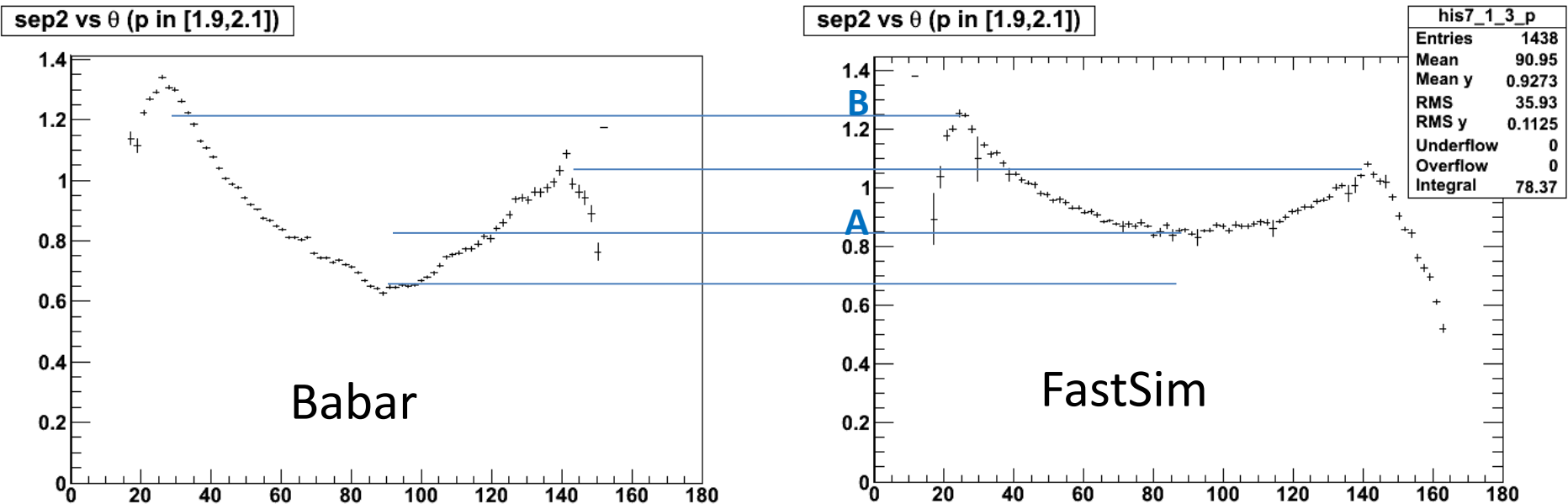
If the trunc_frac = 70% then 30% of $\langle dE/dx \rangle_{\text{hits}}$ are removed randomly. $\langle dE/dx \rangle_{\text{track}}$ is the weighted mean of the remaining 70%. $\sigma^2 \langle dE/dx \rangle_{\text{track}}$ is computed as the variance of the weighted average.

dE/dx simulation in fastsim

- characteristics
 - expected dE/dx value from Bethe Bloch function
 - measured dE/dx from Gaussian smearing around the expected value
 - sigma (error) parameterized as in previous slide
 - no real truncation, but ‘random truncation’ that reduces # of samples but does not change the Gaussian shape
 - parameters tuned to match the dE/dx K/pi separation in Babar
- advantages
 - no calibrations needed when DCH parameters are changed
 - dE/dx measurement given by Gaussian distributions with known mean and sigma
 - definition of PID selectors fast and painless
- disadvantages
 - some limitations in realism arising from simplified approach
- Alternative approach
 - use a Landau-like distribution for the dE/dx measurement of single hits and apply real truncation
 - this approach was also considered 2 years ago but was discarded based on overall balance of advantages/disadvantages

pi/K separation Babar vs fastsim

Comparison of Babar and fastsim samples of 2GeV pions



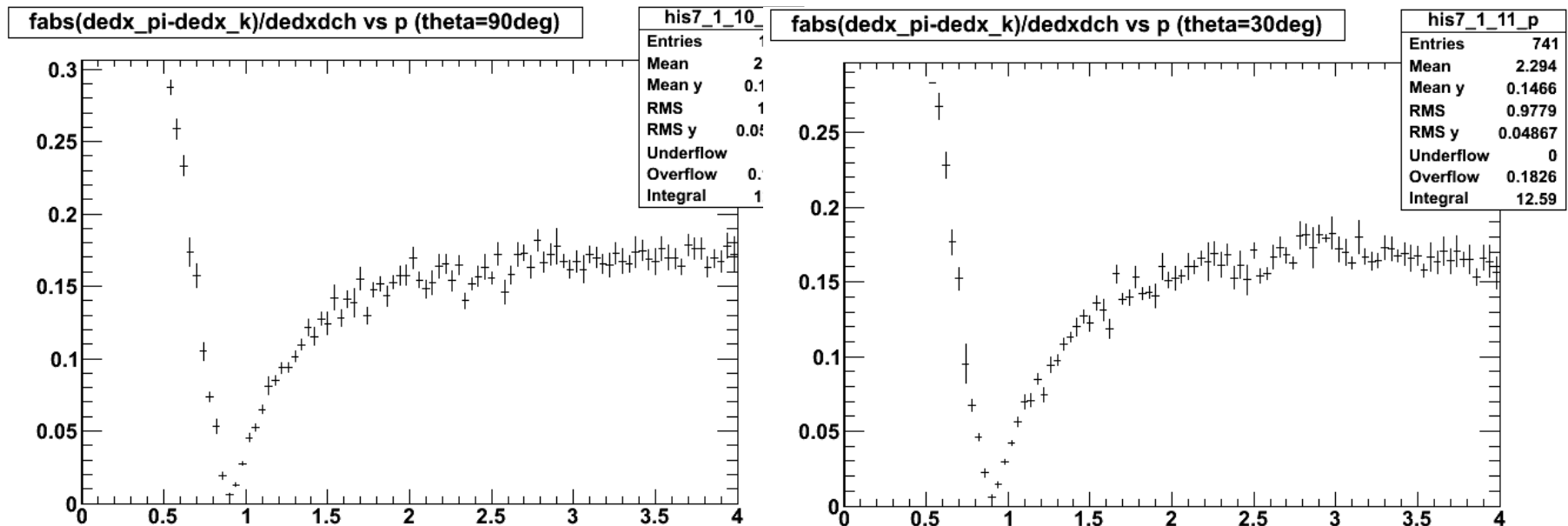
The parameter γ affects the range $(B-A)/B$. The fit in slide 8 underestimates the actual range of pi/K separation vs polar angle in Babar data for two reasons:

- peak at $\theta=90^\circ$ in the distribution of Babar dE/dx_{Err} vs θ (slide 8)
- $|dE/dx_{\text{expected}}(\text{pion}) - dE/dx_{\text{expected}}(\text{kaon})|$ vs θ is also peaked at $\theta=30^\circ, 140^\circ$ (slide 4)

The parameter α was chosen to give an overall reasonable matching given γ

fastsim: 'relative' pi/K separation vs p

(to be compared with the distribution in Babar data, sl. 5)



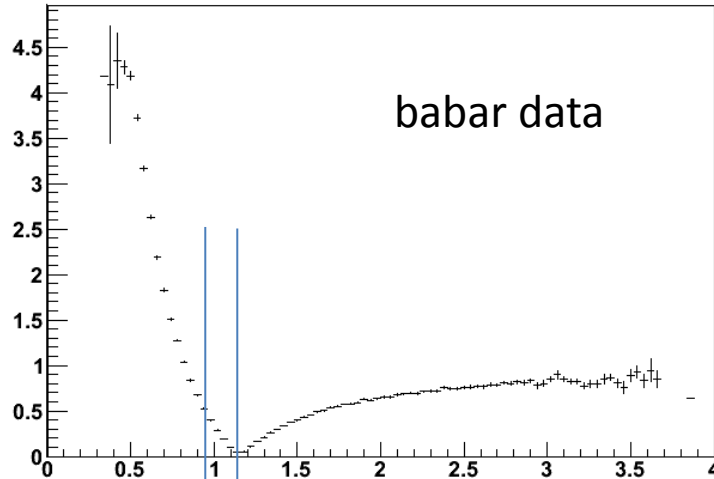
$|dE/dx_{\text{expected}}(\text{pion}) - dE/dx_{\text{expected}}(\text{kaon})| / dE/dx$ vs p for $\theta=90^\circ$ and $\theta=30^\circ$

This quantity depends only on the Bethe-Bloch function used by FastSim (i.e., not on the way the dE/dx error is modeled)

The relative separation is smaller in Babar compared to fastsim. Therefore if the dE/dx error in Babar and fastsim are set to be the same, the pi/K separation in Babar will be smaller than in FastSim

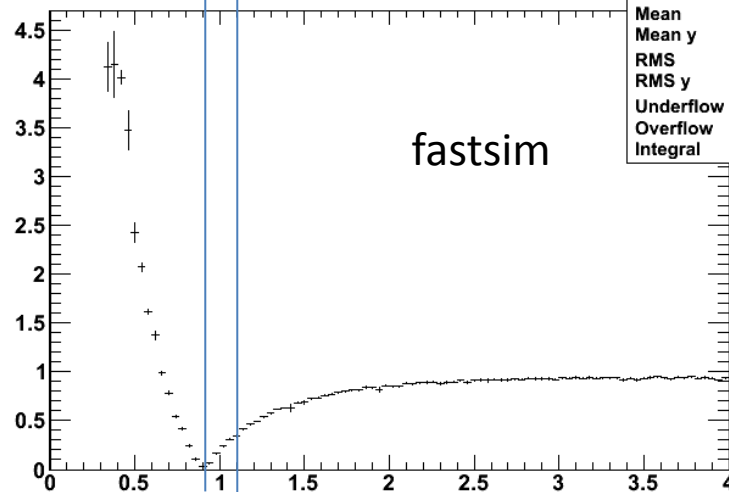
pi/K separation Babar vs fastsim

(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



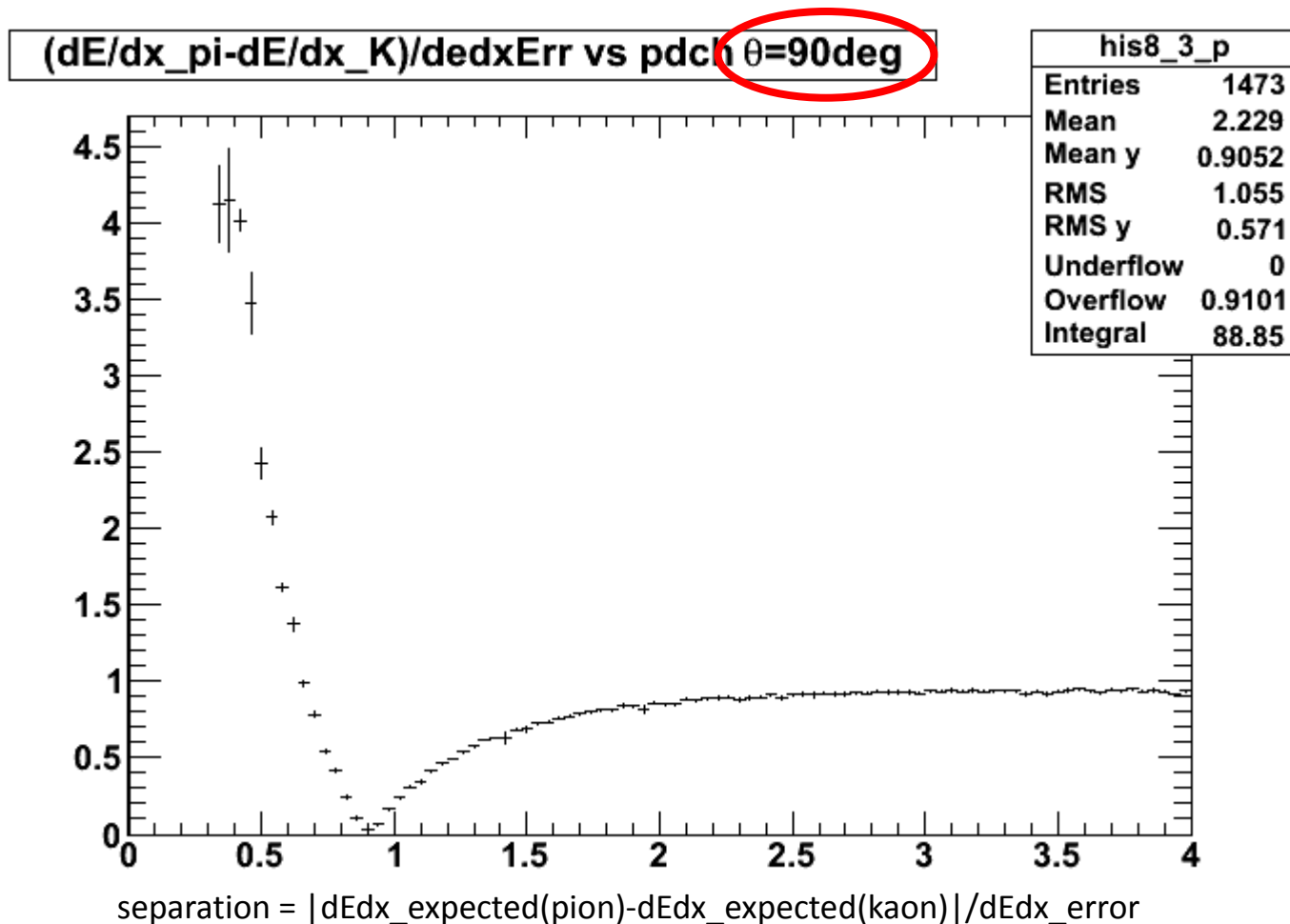
The point of zero K/pi separation is at $p=1.15$ GeV in Babar and at $p=0.90$ GeV in fastsim.

(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$

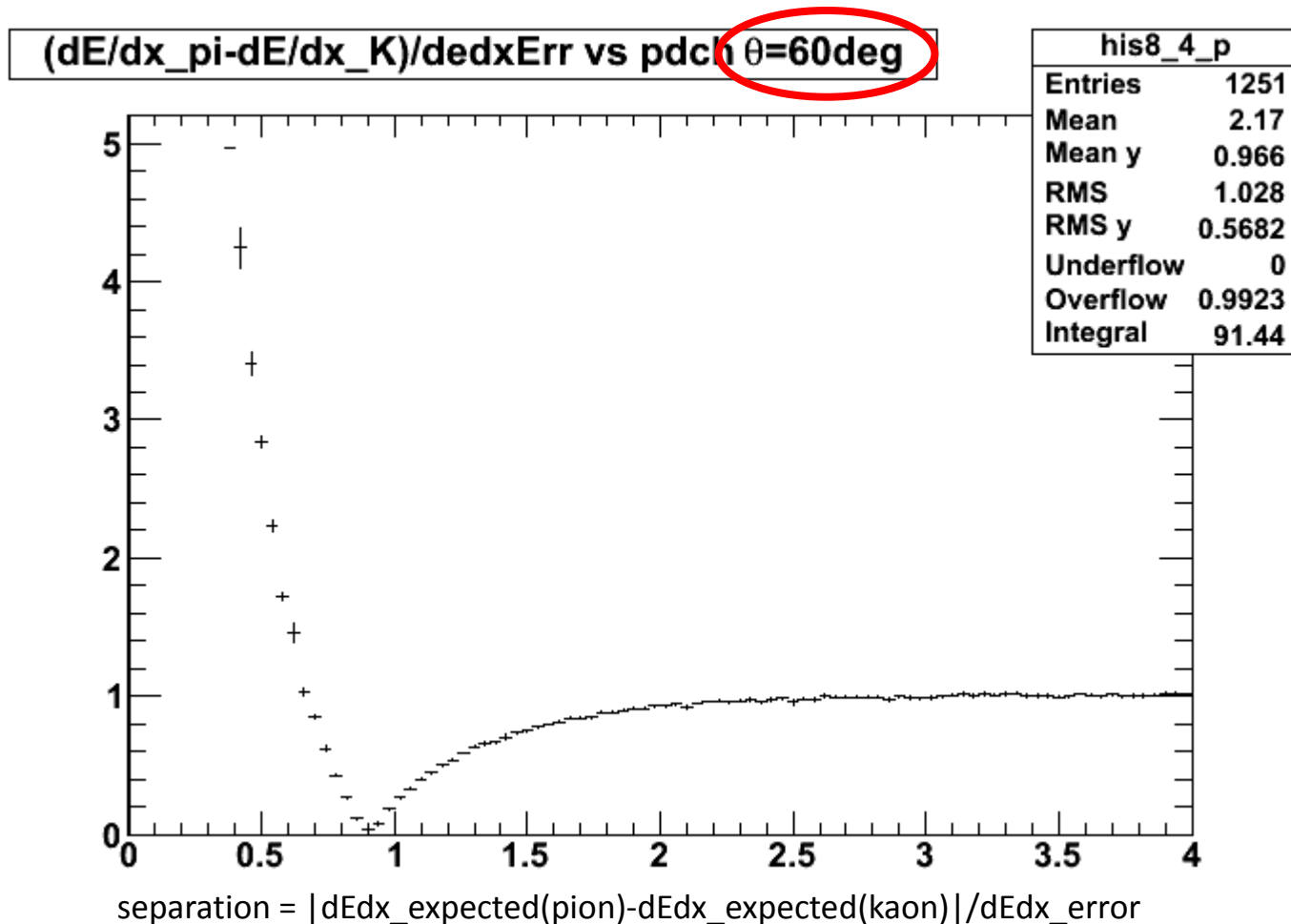


his8_3_p	
Entries	1473
Mean	2.229
Mean y	0.9052
RMS	1.055
RMS y	0.571
Underflow	0
Overflow	0.9101
Integral	88.85

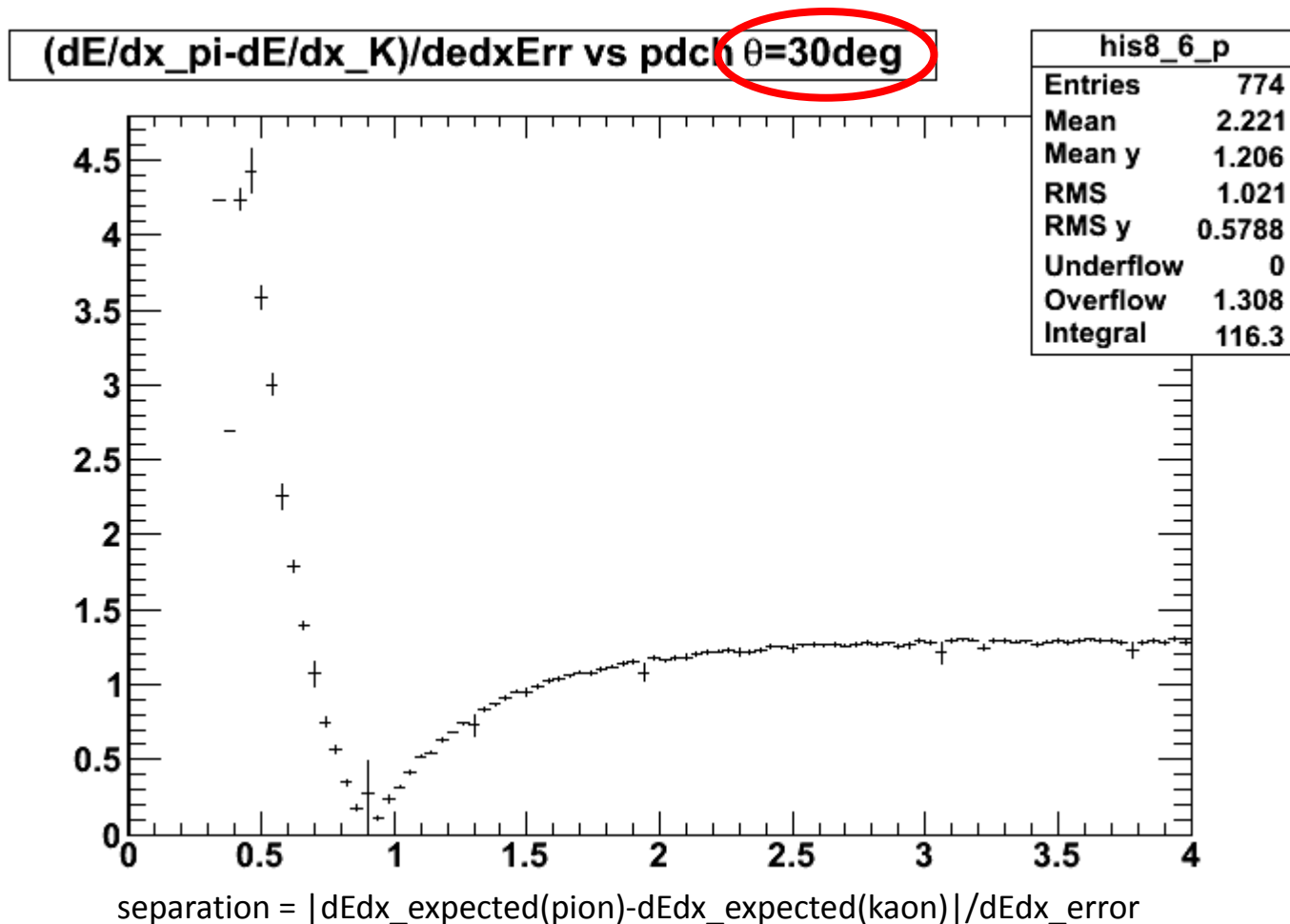
fastsim: pi/K separation at $\theta=90^\circ$



fastsim: pi/K separation at $\theta=60^\circ$



fastsim: pi/K separation at $\theta=30^\circ$



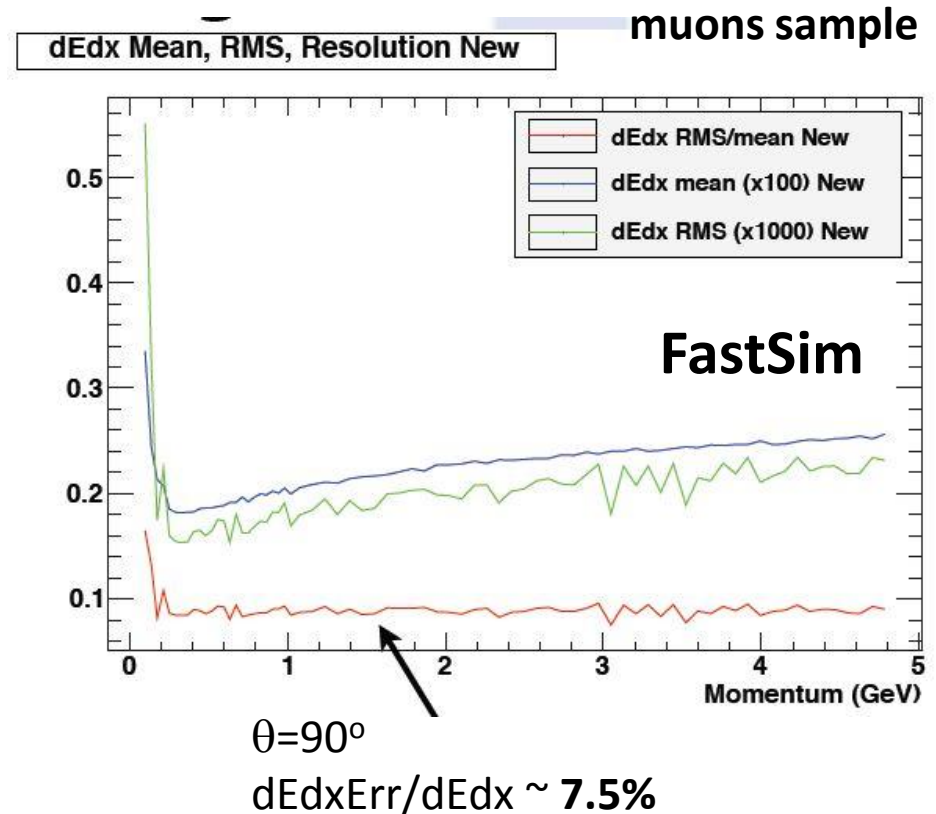
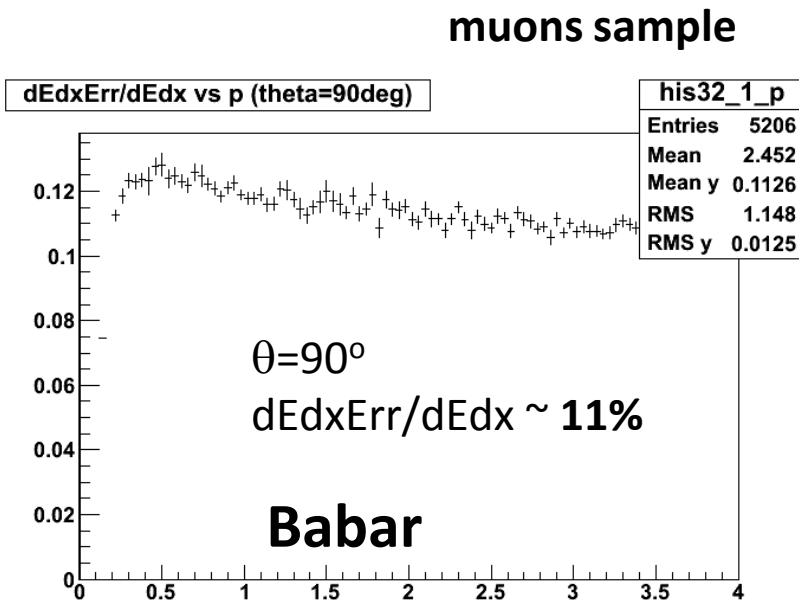
Main differences between the Babar and fastsim outputs

- $|dE/dx_{\text{expected}}(\text{pion}) - dE/dx_{\text{expected}}(\text{kaon})|/dE/dx$ in Babar and fastsim (slides 5 and 17)
- dE/dx error vs polar angle in Babar (slide 7)
 - the model function proportional to $(\text{pathlength})^\gamma$ is a simple approximation of the Babar distribution.
 - On the other hand it wouldn't make much sense to try to reproduce in fastsim the exact pattern observed in Babar data
- The momentum at which $dE/dx(\text{pion}) = dE/dx(\text{kaon})$ differs by about 200 MeV/c between Babar and fastsim (slide 19)
- The first two points (especially the first one) above imply that with the current dE/dx simulation it's not possible to tune fastsim to match both the Babar dE/dx relative uncertainty and the Babar K/pi separation
 - one explanation could be the fact that in Babar $\langle dE/dx \rangle$ is the most probable value (real truncation) while in fastsim it's the mean value (sl. 15-16)
 - the main figure of merit to tune fastsim is the particles separation

Jean-Francois proposal

<http://agenda.infn.it/getFile.py/access?contribId=271&sessionId=31&resId=1&materialId=slides&confId=4441> (sl. 12)

dEdx resolution vs p ($\theta=90^\circ$)

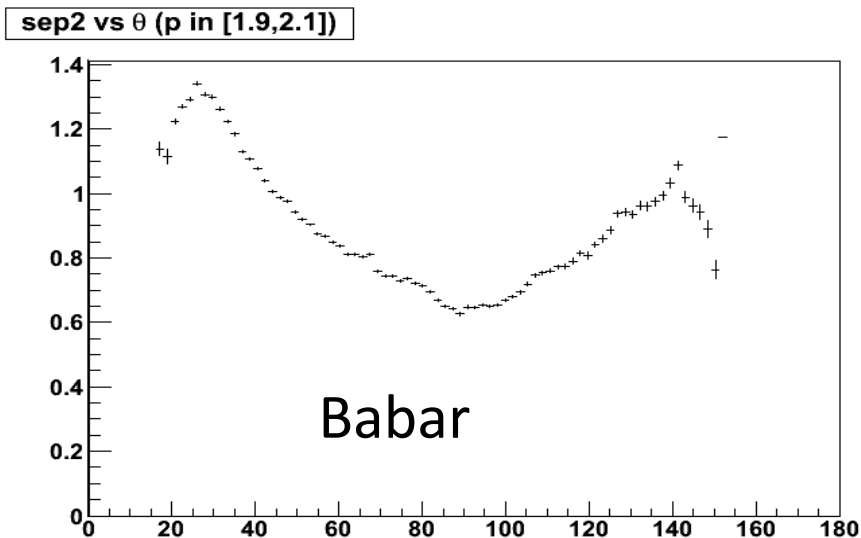


dEdx resolution underestimated

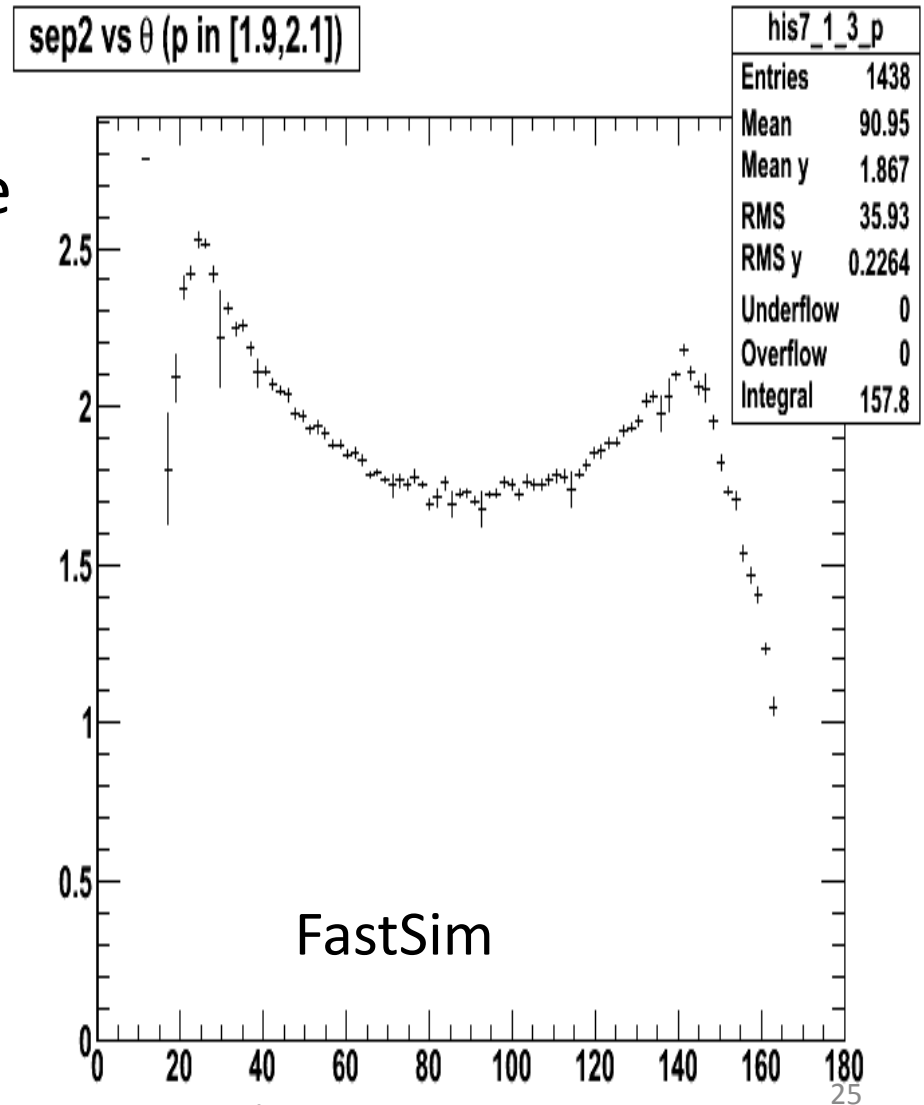
Jean-Francois proposal

(sl. 12)

π/K separation vs polar angle



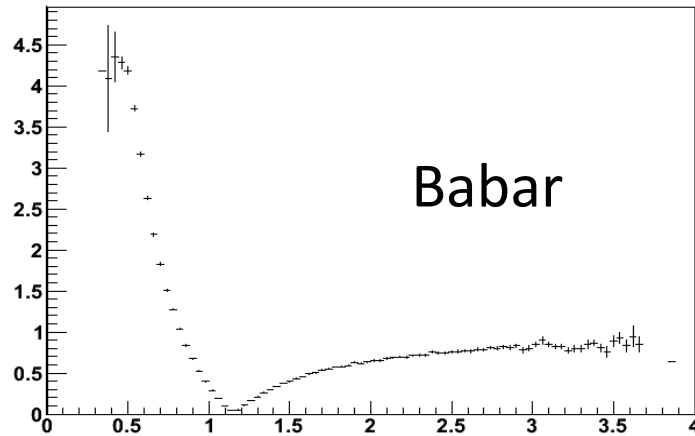
π/K separation strongly overestimated



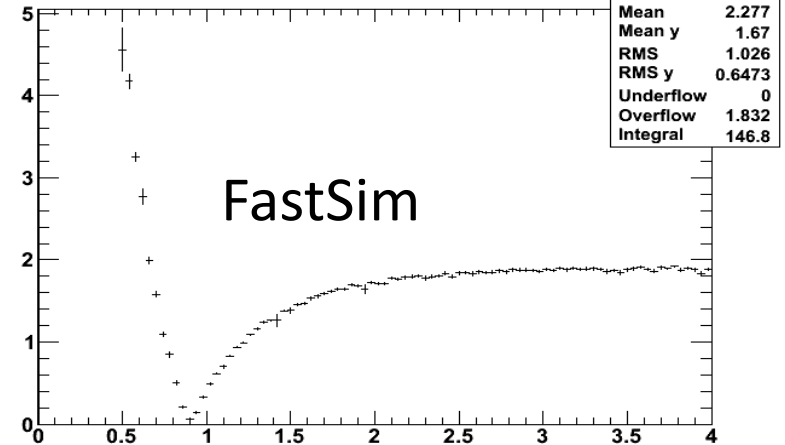
Jean-Francois proposal

pi/K separation vs p. Babar vs FastSim

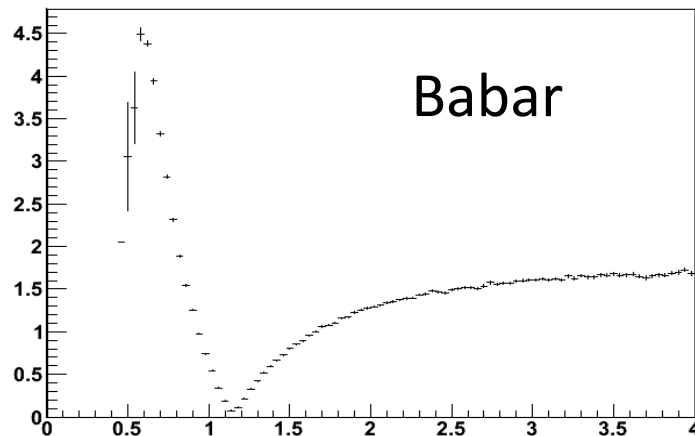
(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



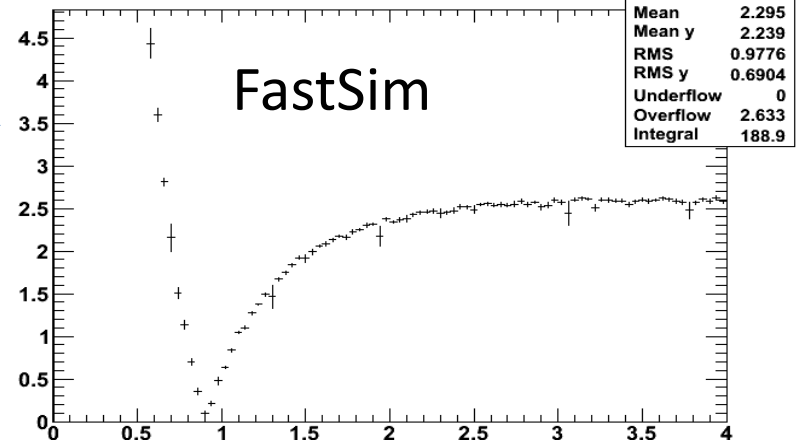
(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=30\text{deg}$

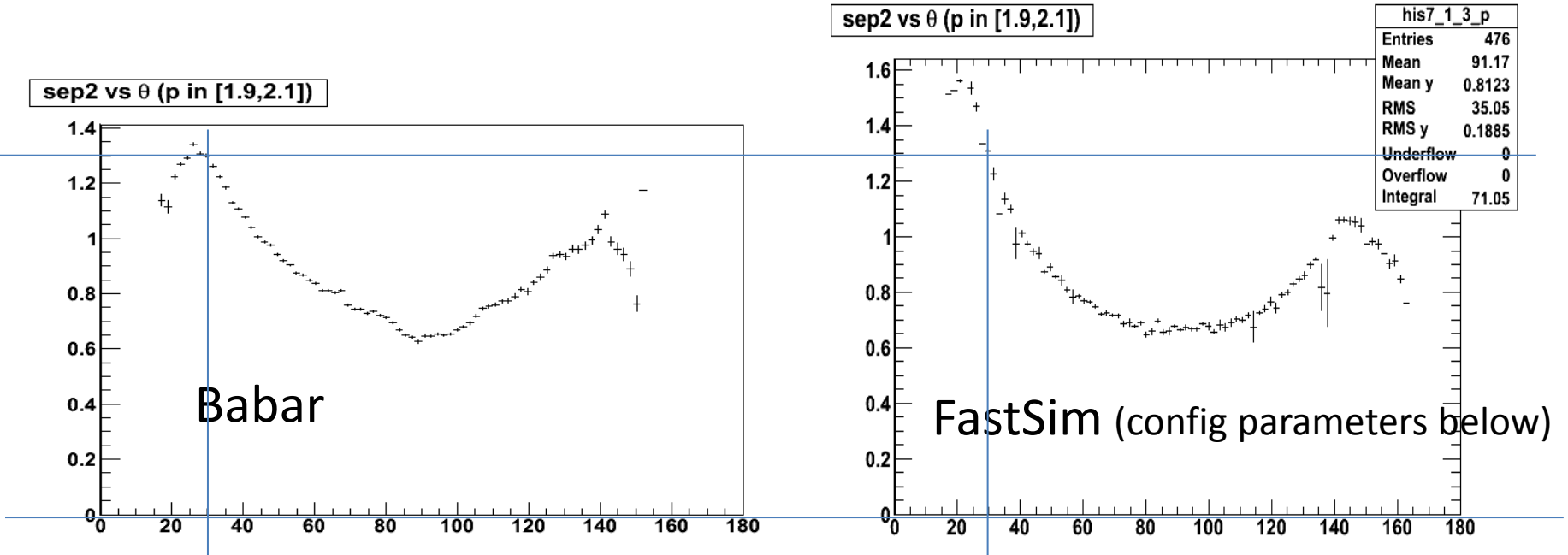


(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=30\text{deg}$



pi/K separation strongly overestimated

Alternative set of fastsim parameters (I)



$\alpha=0.00237$ (note: to be compared with 0.00154 \rightarrow dE/dx resolution increases)

$\beta=1$

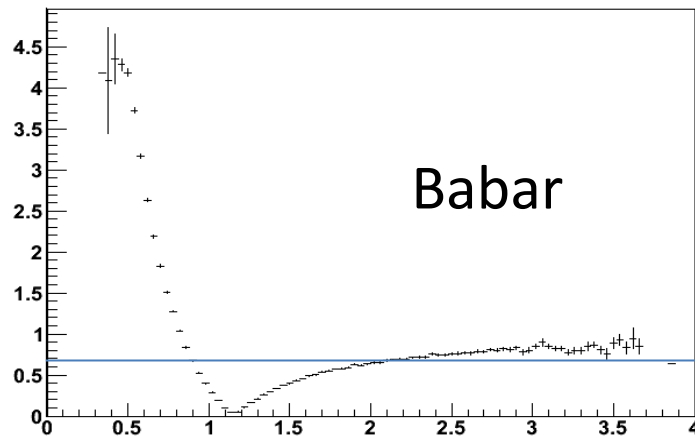
$\gamma=-0.84$

(note: β slightly <1 might improve the agreement further)

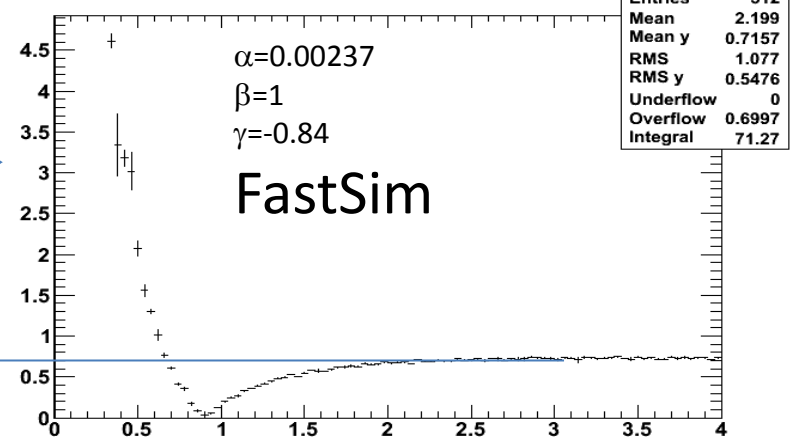
Alternative set of fastsim parameters (II)

π/K separation vs p. Babar vs FastSim

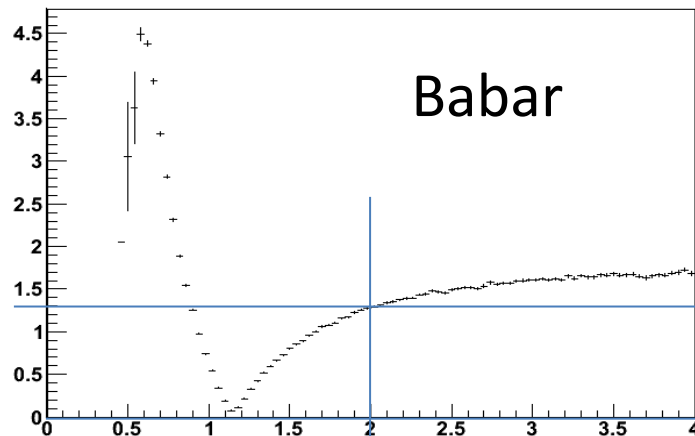
(dE/dx _{π} -dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



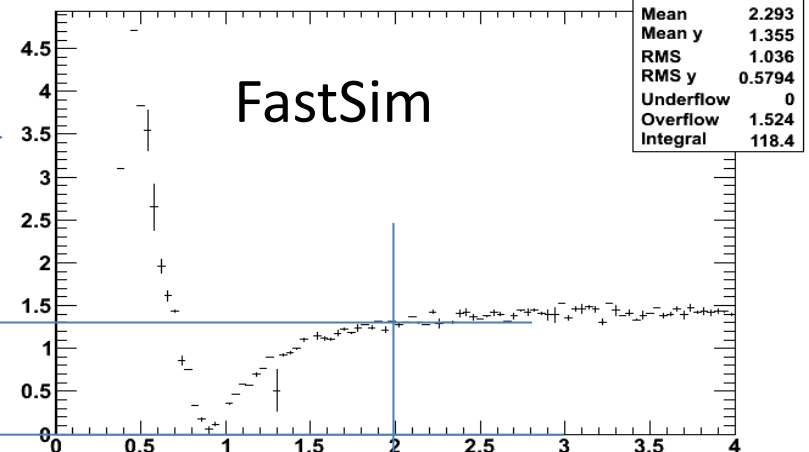
(dE/dx _{π} -dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



(dE/dx _{π} -dE/dx_K)/dedxErr vs pdch $\theta=30\text{deg}$



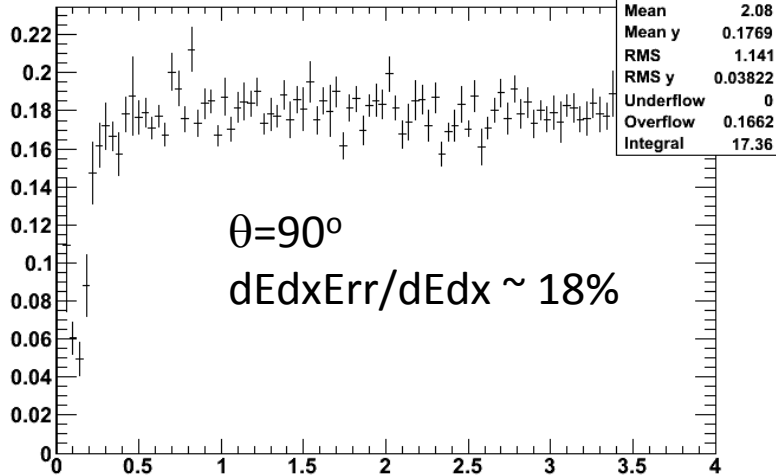
(dE/dx _{π} -dE/dx_K)/dedxErr vs pdch $\theta=30\text{deg}$



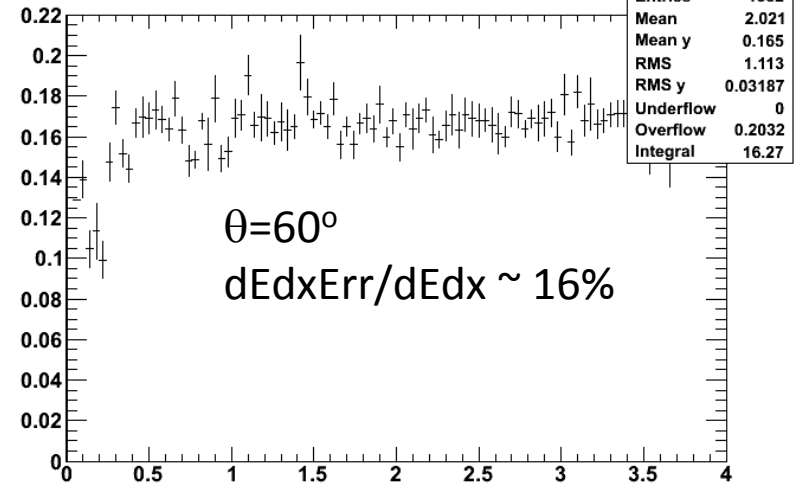
BACKUP

dEdxErr/dEdx fastsim pions

dEdxErr/dEdx vs p (theta=90deg)



dEdxErr/dEdx vs p (theta=60deg)



dEdxErr/dEdx vs p (theta=30deg)

