

# DETECTION UNIT LINE FIT ANALYSIS FOR KM3NeT

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# INTRODUCTION

## Main Goal

### INPUTS FOR DU LINE FIT

- APS data every 10' (average) → **LOCATION** of acoustic receivers  $\{x, y, z\}$
- AHRS data every 10' (average) → **ORIENTATION**  $\{YAW, PITCH, ROLL\}$

DU Line Fit necessary:

- If some sensor presents failures
- If some data is missing (fail detection)

DU Line Fit reconstructs the shape of the DU using a Mechanical Model using an effective value of sea current ( $v$  and  $\omega$ ) and the inputs APS and AHRS data and some mechanical properties of the items in the DU.



Mechanical Model

- $v$
- $\omega$
- *mech. prop.*

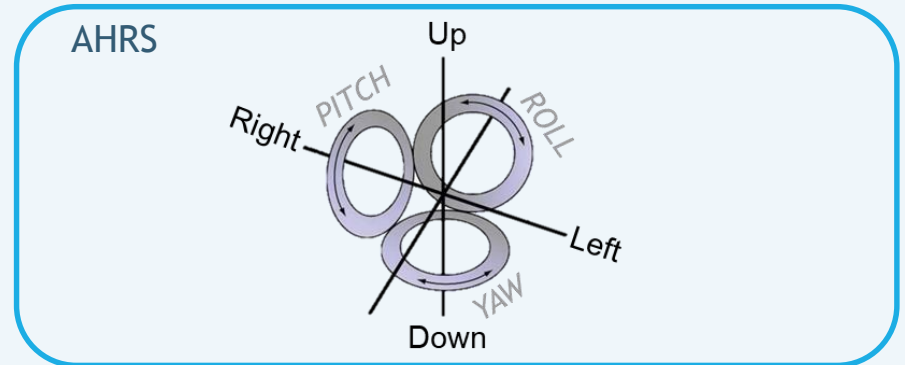
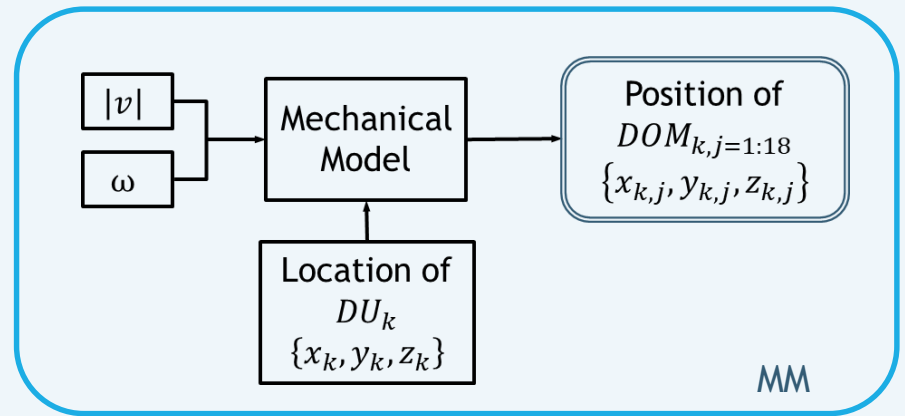
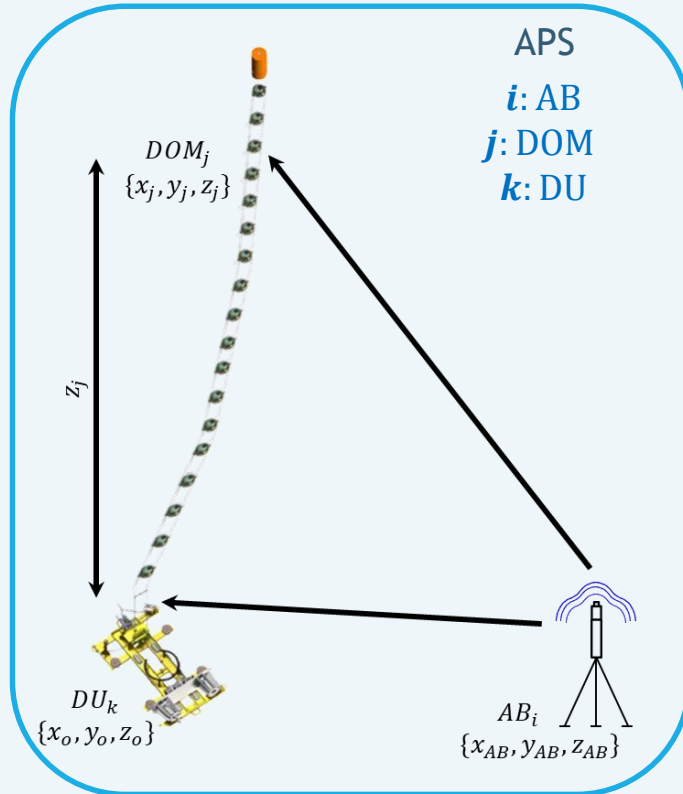


### OUTPUTS FOR DU LINE FIT

- **LOCATION** of DOMs  $\{x, y, z\}$
- **CORRECTED ORIENTATION**  $\{YAW, PITCH, ROLL\}$

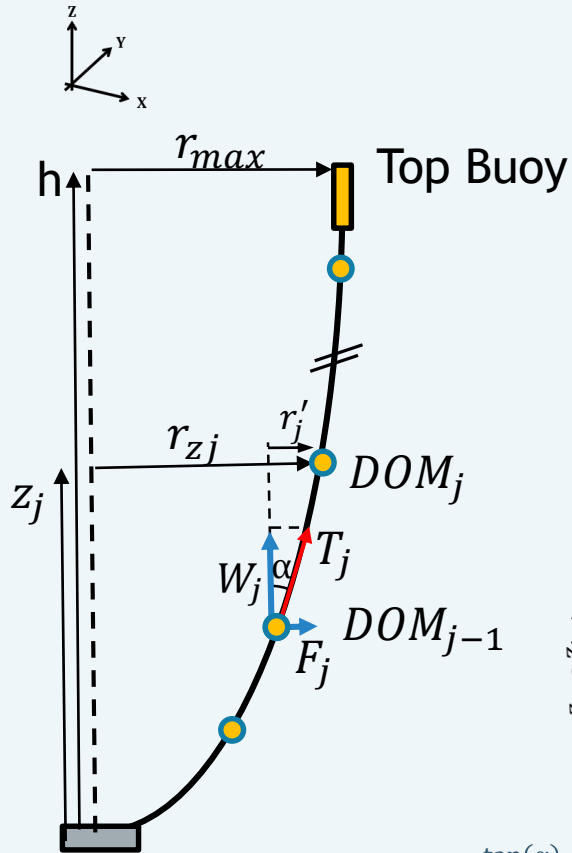
# INTRODUCTION

## Parts of DU Line Fit



# MECHANICAL MODEL

## Mechanical equations



$$F(z) = f(z)v^2 = \left\{ \left[ \sum_{i=1}^{18} (f_{DOM} + f_{cable_i}) + f_{long\ string} \right] \left( \frac{h-z}{z} \right) + f_{top\ buoy} \right\} v^2$$

$$W(z) = \left[ \sum_{i=1}^{18} (W_{DOM} + W_{cable_i}) + W_{long\ string} \right] \left( \frac{h-z}{z} \right) + W_{top\ buoy}$$

$$r(z) = \int_0^z g(z) dz = \left[ \frac{n}{q} z - \left( \frac{mq - nq}{q^2} \right) \ln \left( 1 - \frac{q}{p} z \right) \right] v^2$$

**MM<sub>const</sub>(z)**

$$m = \left\{ \left[ \sum_{i=1}^{18} (f_{DOM} + f_{cable_i}) \right] + f_{long\ string} \right\} + f_{top\ buoy}$$

$$n = \left\{ \left[ \sum_{i=1}^{18} \left( \frac{1}{h} f_{DOM} + f_{cable_i} \right) \right] + \frac{1}{h} f_{long\ string} \right\} + \frac{1}{h} f_{top\ buoy}$$

$$p = \left\{ \left[ \sum_{i=1}^{18} (W_{DOM} + W_{cable_i}) \right] + W_{long\ string} \right\} + W_{top\ buoy}$$

$$q = \left\{ \left[ \sum_{i=1}^{18} \left( \frac{1}{h} W_{DOM} + W_{cable_i} \right) \right] + \frac{1}{h} W_{long\ string} \right\} + \frac{1}{h} W_{top\ buoy}$$

$$\tan(\alpha) = \frac{F(z)}{W(z)} = g(z)$$

# MECHANICAL MODEL

## Mechanical constants

$$f_j = \frac{1}{2} C_{w,j} A_j \rho \quad [Ns^2/m^2]$$

$\rho$ : Density of the water [ $kg/m^3$ ]  
 $A$ : Cross section [ $m^2$ ]  
 $C_w$ : drag coefficient

$$W_j = WIW_j \cdot g \quad [N]$$

$g$ : Gravitational acceleration [ $m/s^2$ ]  
 $WIW_j$ : Weight In Water [ $kg$ ]  
 buoyancy

Detector	Property	Elements		
		DOM	Long string	Top Buoy
ARCA	$f \quad [Ns^2/m^2]$	52.86	659.10	482.66
	$W \quad [N]$	125.57	0	1030.05
ORCA	$f \quad [Ns^2/m^2]$	52.86	283.92	482.66
	$W \quad [N]$	125.57	0	1226.25

# MECHANICAL MODEL

## Mechanical Model for APS data

- What do we expect?

Improve the position in reconstruction of DUs taking into account the uncertainty and inconsistencies of measures and analysis.

- How to obtain  $v$  and  $\omega$  from the acoustic data?

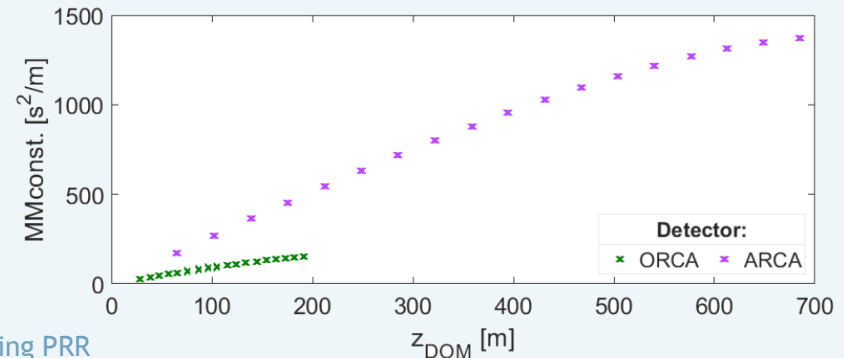
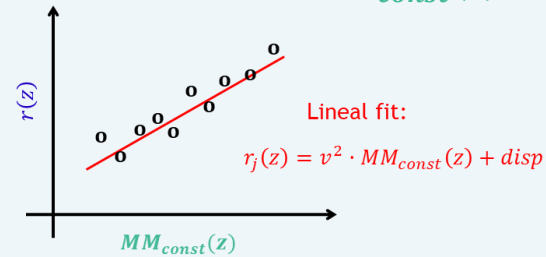
$$r_j(z) = MM_{const}(z) \cdot v^2 \rightarrow v = \sqrt{\frac{r_j(z)}{MM_{const}(z)}}$$

$$\omega = \text{atan2}(\text{diff}_y, \text{diff}_x)$$

$\text{diff}$  : Difference from pos. reference

$$r(z) = \int_0^z g(z) dz = \left[ \frac{n}{q} z - \left( \frac{mq - nq}{q^2} \right) \ln \left( 1 - \frac{q}{p} z \right) \right] v^2$$

$MM_{const}(z)$

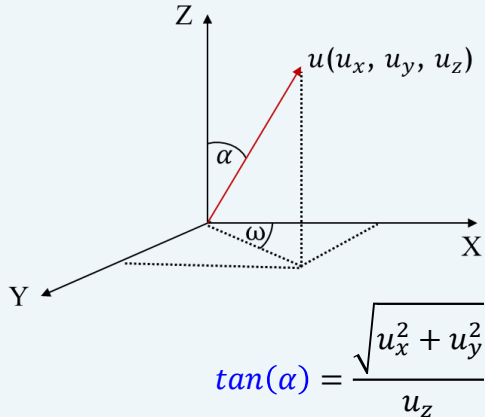


# MECHANICAL MODEL + AHRS

$$\begin{pmatrix} u_x \\ u_y \\ u_z \end{pmatrix} = \begin{pmatrix} \cos(P)\cos(Y) & -\sin(R)\sin(P)\cos(Y) - \cos(R)\sin(Y) & \cos(R)\sin(P)\sin(Y) + \sin(R)\sin(Y) \\ \cos(P)\sin(Y) & \sin(R)\sin(P)\sin(Y) + \cos(R)\cos(Y) & \cos(R)\sin(P)\sin(Y) - \sin(R)\cos(Y) \\ -\sin(P) & \sin(R)\cos(P) & \cos(R)\cos(P) \end{pmatrix} \begin{pmatrix} 0 \\ 0 \\ 1 \end{pmatrix}$$

## PROBLEM:

The process analyzed for AHRS data is more sensitive to YAW, PITCH and ROLL values, so they need a filter to take only the good AHRS data



## SOLUTION:

In principle, it's more easy discard wrong data in AHRS because the difference between DOMs are not big

$$\tan(\alpha) = \frac{F_j}{W_j} = \frac{f_j \cdot v^2}{W_j} \rightarrow v = \sqrt{\frac{\tan(\alpha) \cdot W_j}{f_j}}$$

$$\cos(\omega) = \frac{u_x}{\sqrt{u_x^2 + u_y^2}} \rightarrow \omega$$

# DU LINE FIT ANALYSIS

## INPUTS FOR DU LINE FIT

- **LOCATION** of acoustic receivers  $\{x, y, z\}$
- **ORIENTATION**  $\{YAW, PITCH, ROLL\}$

### ANALYSING APS data:

- $r$  for every DOM
- $v_{aps}$  for every DU
- $\omega_{aps}$  for every DOM

### ANALYSING AHRS data:

- $v_{ahrs}$  for every DOM
- $\omega_{ahrs}$  for every DOM

### RECONSTRUCTION v0:

- *Bezier's curve for APS data*
- *Spline for AHRS data*

### RECONSTRUCTION v1: Mechanical Model

- *MM for APS data  $\rightarrow$  needs  $v, \omega$  and  $DU_{base}$  location*
- *Spline for AHRS data*

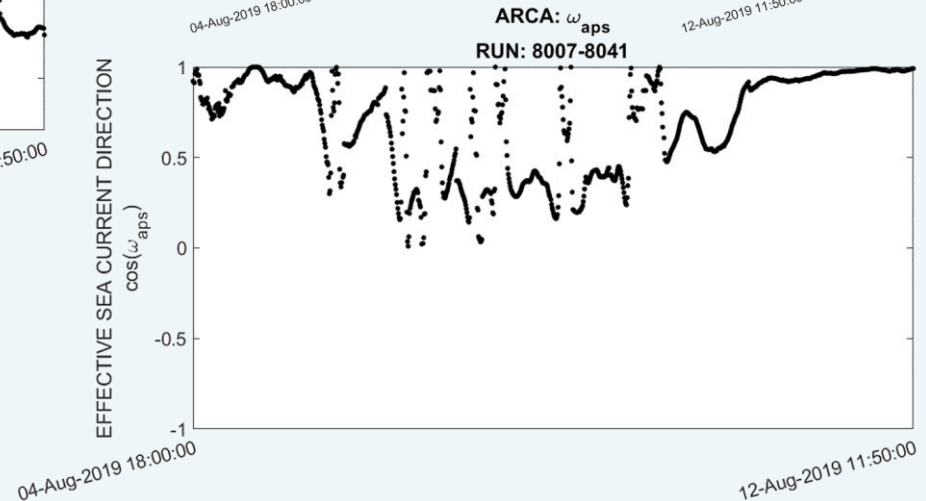
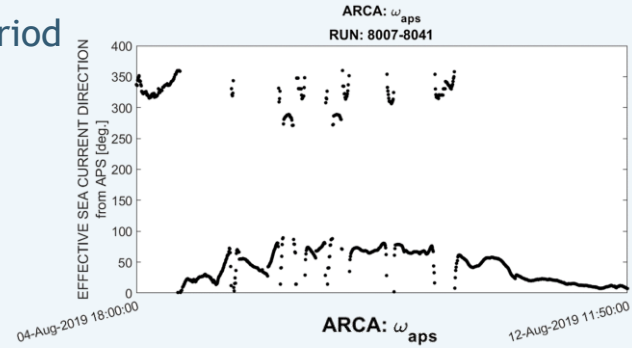
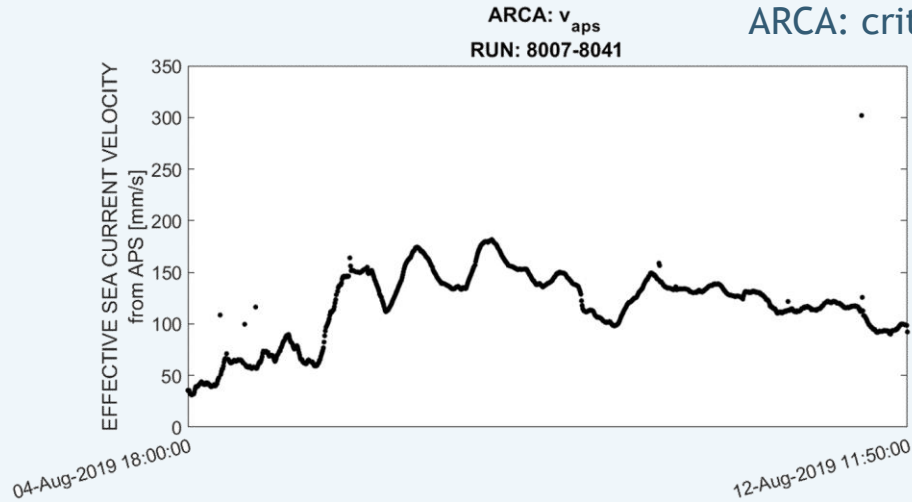
## OUTPUTS FOR DU LINE FIT

- **LOCATION** of DOMs  $\{x, y, z\}$
- **CORRECTED ORIENTATION**  $\{YAW, PITCH, ROLL\}$

# TESTING EXPERIMENTAL DATA

## APS Analysis

ARCA: critical period



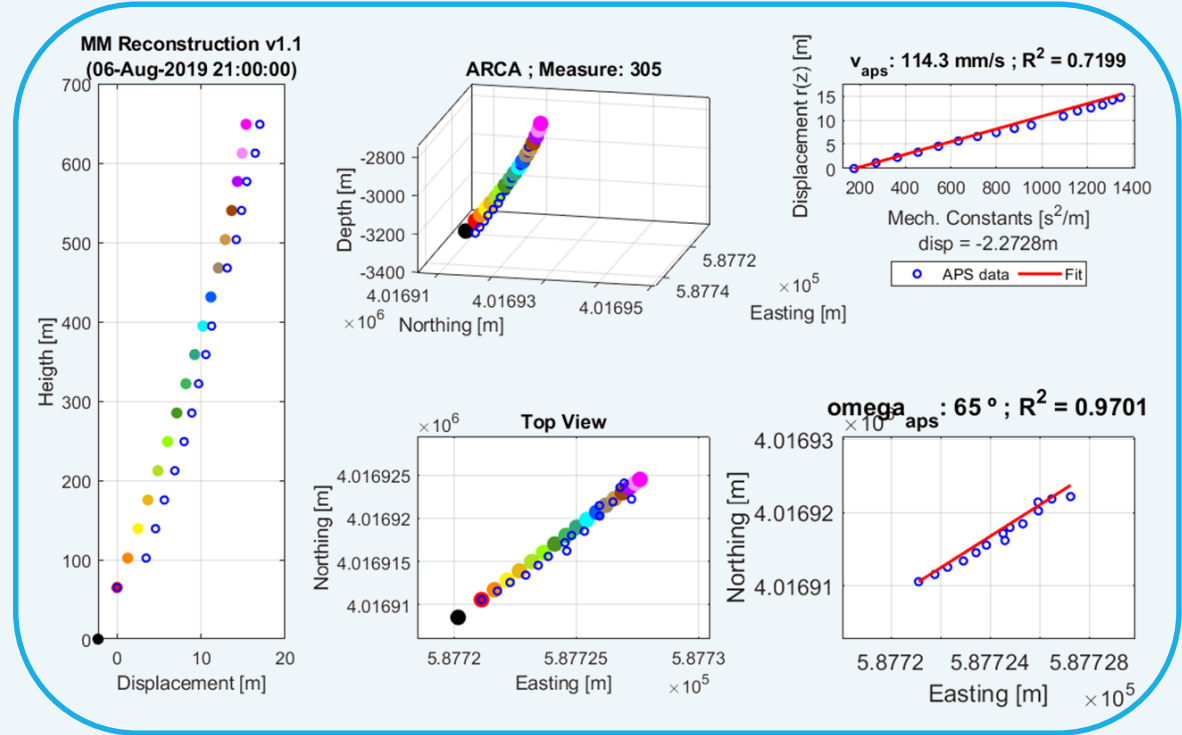
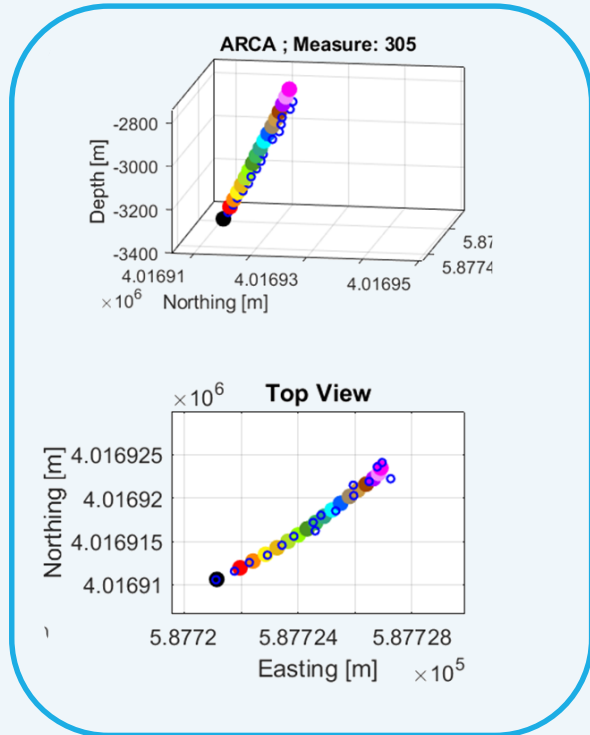
# TESTING EXPERIMENTAL DATA

## APS Analysis

### Reconstruction v0

### ARCA: critical period

### Reconstruction v1



# THANKS FOR YOUR ATTENTION



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