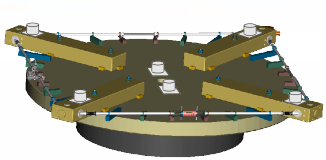


News from G-Wetzell

A. Gebauer, U. Schreiber, Th. Klügel

gebauer@fs.wetzell.de



10 decades of frequencies

Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

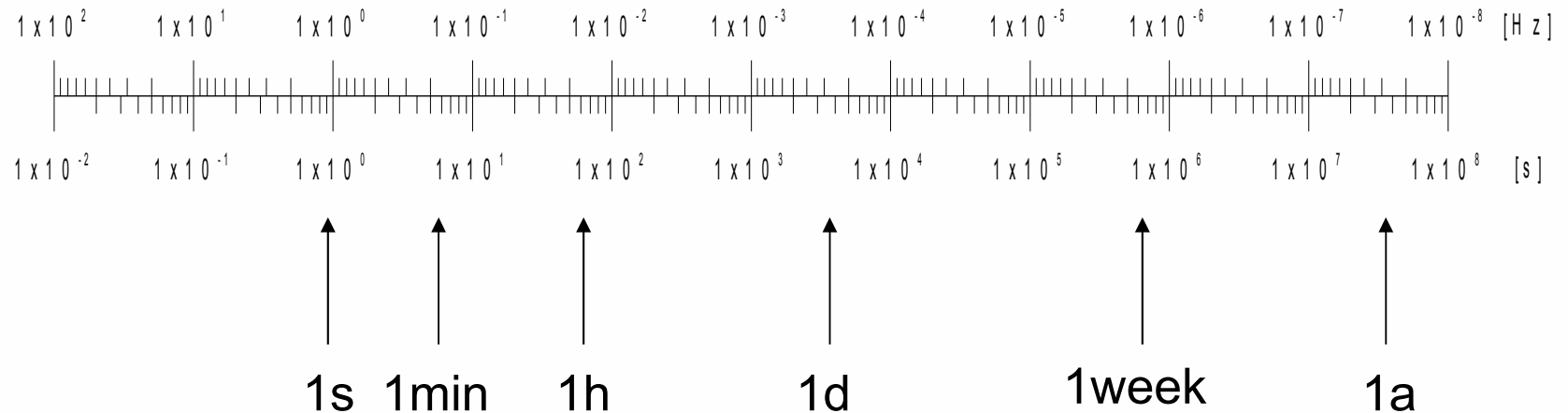
Meteorological effects

Seismology

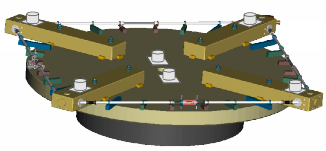
Actual Stability

Conclusion

Outlook



- Signals
- Instrumental requests
- Solution / problems



$$f_{Sagnac} = \frac{4 \cdot L}{\lambda \cdot P} \cdot \vec{n} \cdot \vec{\Omega} \oplus f_{Instrument}$$

rotation / orientation

rotation / orientation

Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

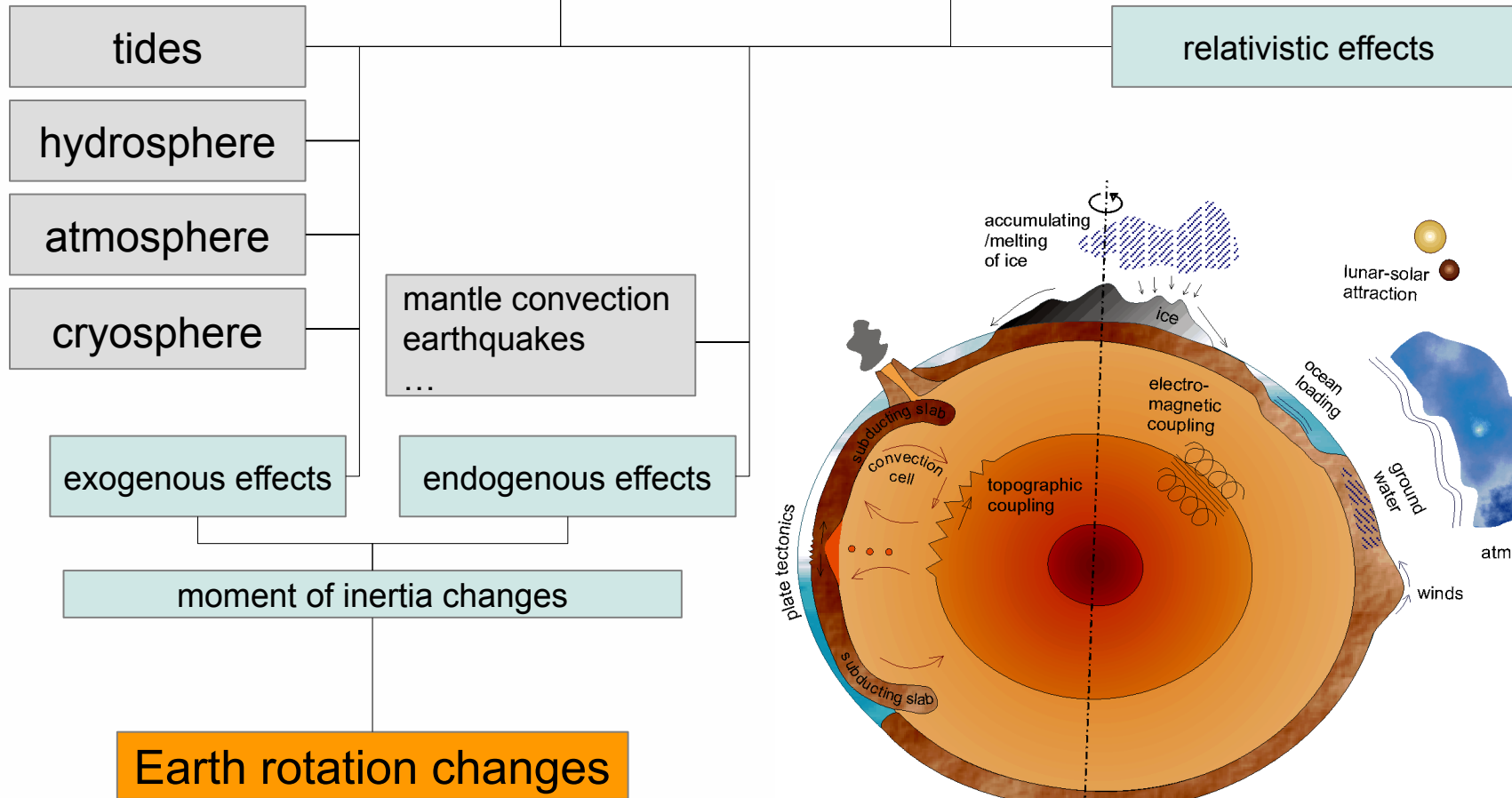
Meteorological effects

Seismology

Actual Stability

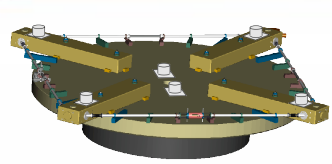
Conclusion

Outlook

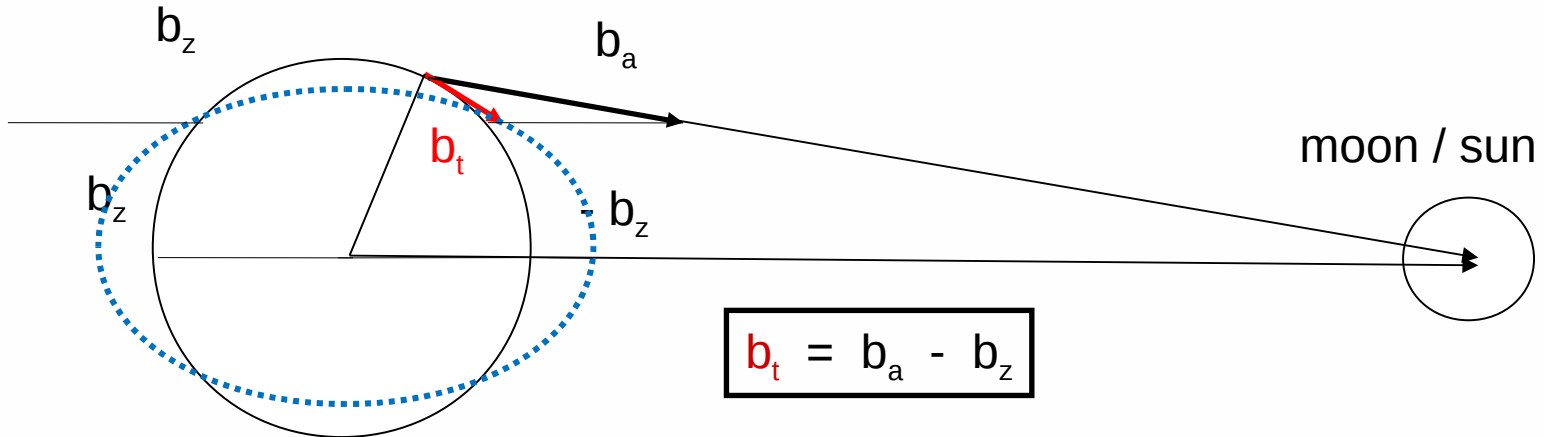


Earth rotation changes

global ↔ regional ↔ lokal ms ↔ a



Tides



Attraction b_a : acts in direction to moon (sun) depending on the distance;

Centrifugal force b_z : acts in parallel to the connecting line between Earth and moon / sun, but in opposite direction; this force has the same value throughout the Earth, because we are still dealing with a rigid body which circulates around a center.

The difference of both forces (or accelerations) is the tidal force (acceleration) given in red. This vector is zero in the Earth's center, only. It points towards the tide generating body on the side facing it, and in the opposite direction on the other side. At the poles the tidal vectors point towards the Earth's center. The section of the Earth is changed from a circle to an ellipse.

The tidal forces of the sun and the moon are about 90% of the whole tidal force.

Jentzsch

(2009) Pisa

- Introduction
- Signals
- Tides**
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook

Rotation of the Earth



Celestial Pole

- Precession
(18.6a, 9.3a, 1a, 0.5a, 13.7a)
- “Forced Nutation”
seeming diurnal

Polar Motion

- X_p, Y_p

Speed of Rotation

- LOD

- Introduction
- Signals
- Tides
- Earth Rotation**
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook

Earth Rotation Changes

Mechanisms:

1. Angular momentum changes

- Continuous decrease by tidal friction
- External angular momentum \Rightarrow precession / forced nutation
- Interaction between angular momentum and sub-systems
 - Rigid Earth \Leftrightarrow atmosphere, ocean, inner core
 - reversible

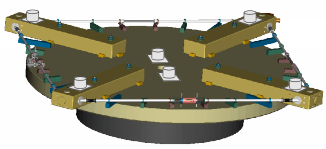
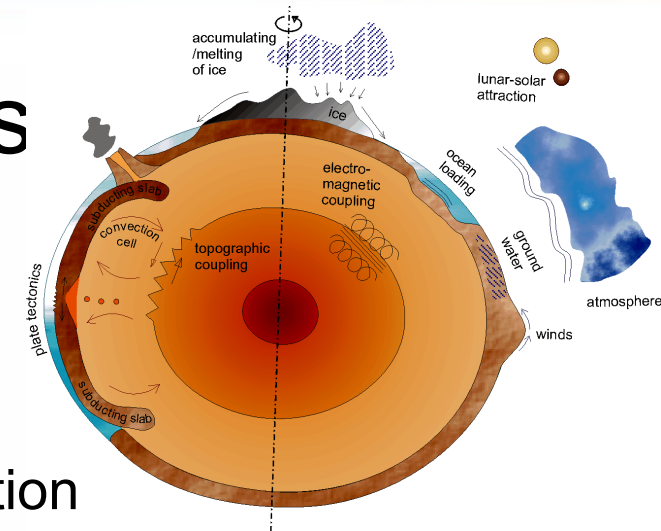
2. Moment of inertia changes

- Relocation of masses (earth tides, barometric pressure, ocean, water, postglacial rebound, earthquakes)

3. Oscillation of rotation axis („free wobble“)

- Figure axis und angular momentum axis not parallel

\Rightarrow free nutation („Chandler wobble“, „free core nutation“)



Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

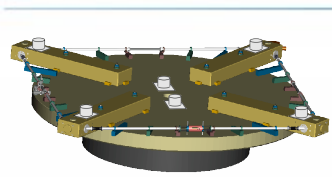
Meteorological
effects

Seismology

Actual Stability

Conclusion

Outlook



Wherefore observations of Earth rotation?

- Generation and conservation of global reference frames for exact positioning on earth and in space
- Transformation between earth-fixed and space-fixed reference frames
- Astrometry, Astronomy
- Space travel, business of Satellites
- Navigation
- Understanding of global geophysical phenomena, model validation

Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

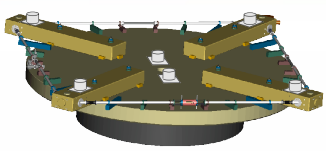
Meteorological
effects

Seismology

Actual Stability

Conclusion

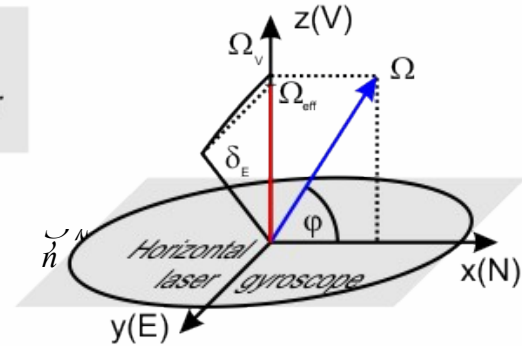
Outlook



Sagnac Signal

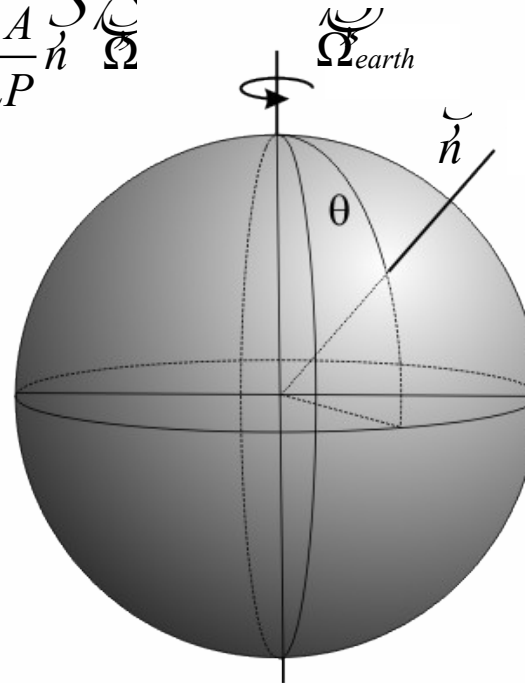
Measurement

$$\Delta f = \frac{4 A}{\lambda P} \vec{n} \cdot \vec{\Omega} + f_{nr}$$



$$\vec{n} \cdot \vec{\Omega} = \Omega \cos(\varphi = \theta)$$

$$\delta f = \frac{4A}{\lambda P} \vec{n} \cdot \vec{\Omega}$$

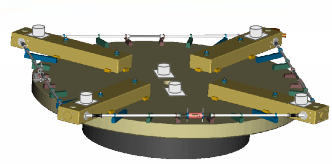


$$\vec{n} \cdot \vec{\Omega} = \Omega \cos(\varphi = 90 - 49.145)$$

$$\vec{\Omega} = \vec{\Omega}_{global} + \vec{\Omega}_{local}$$

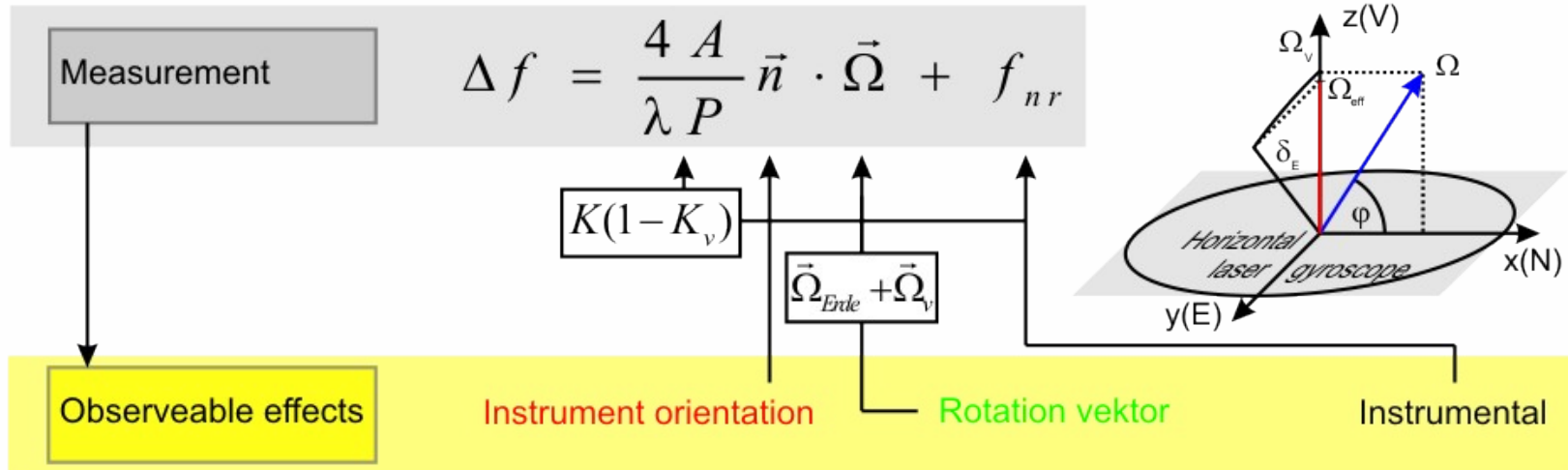
$$\vec{n} \cdot \vec{\Omega} = \Omega \cos(\varphi = 90) + \delta f$$

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals**
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook

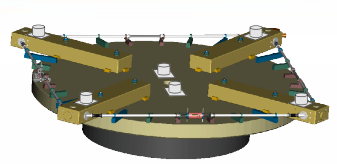


Sagnac Signal

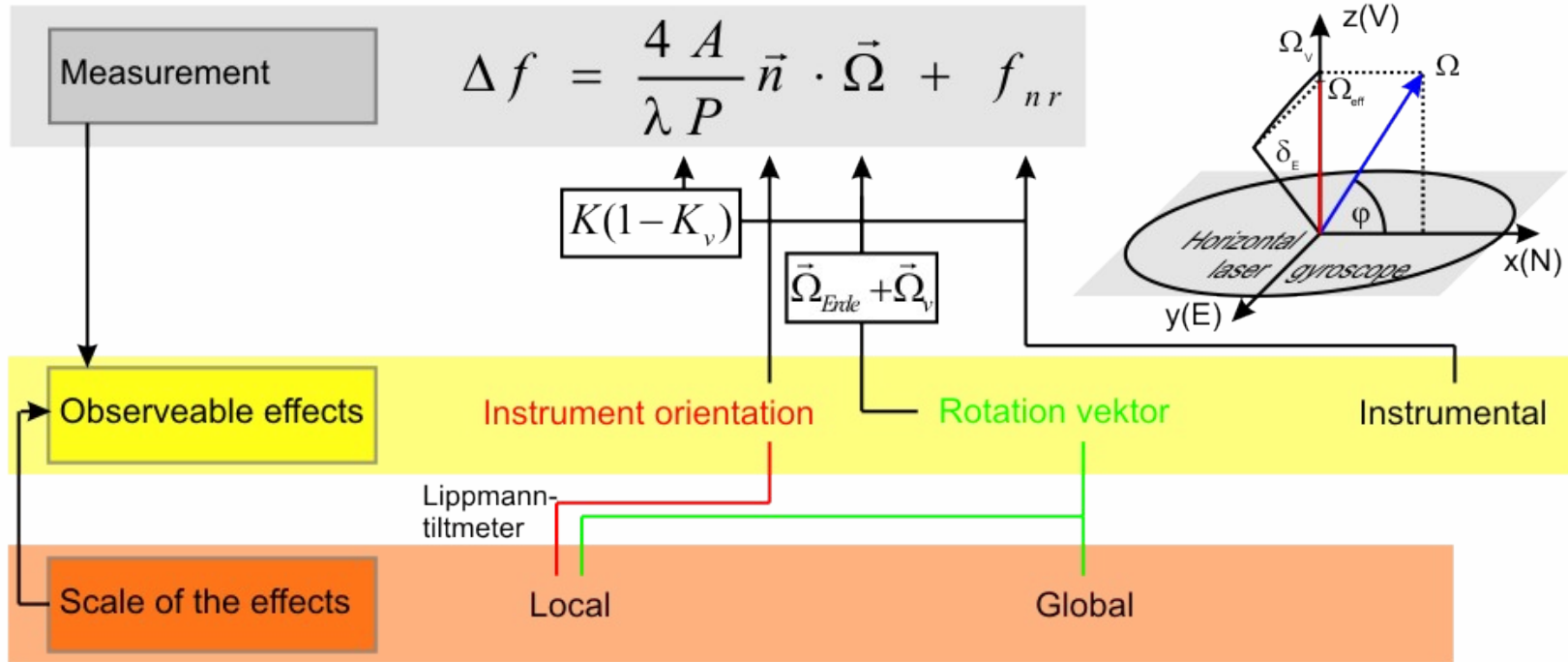
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals**
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook

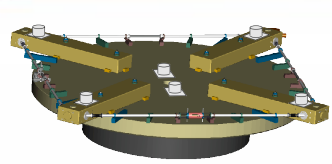


Sagnac Signal



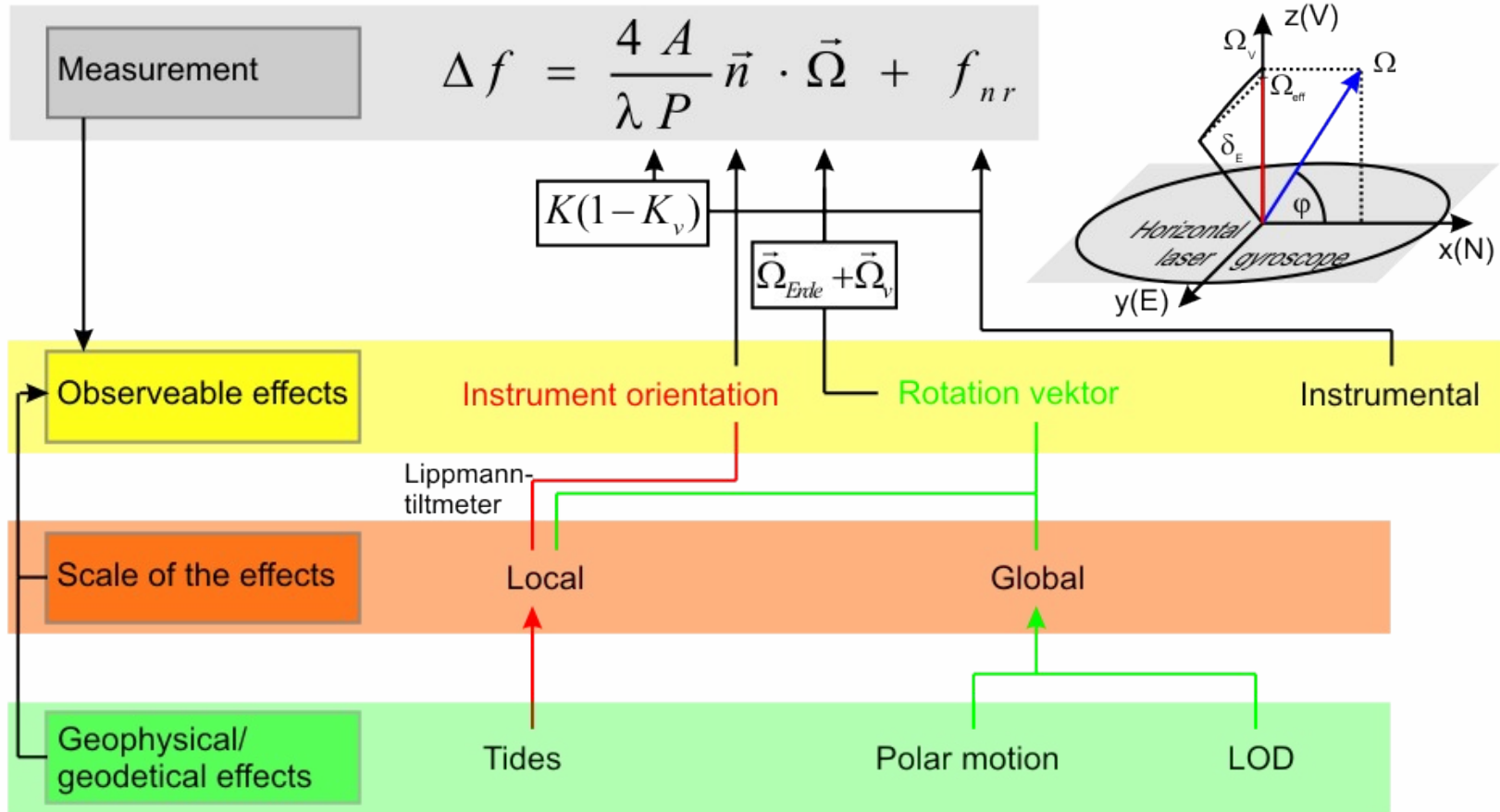
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals**
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook



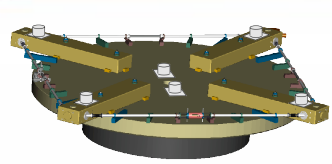


Sagnac Signal

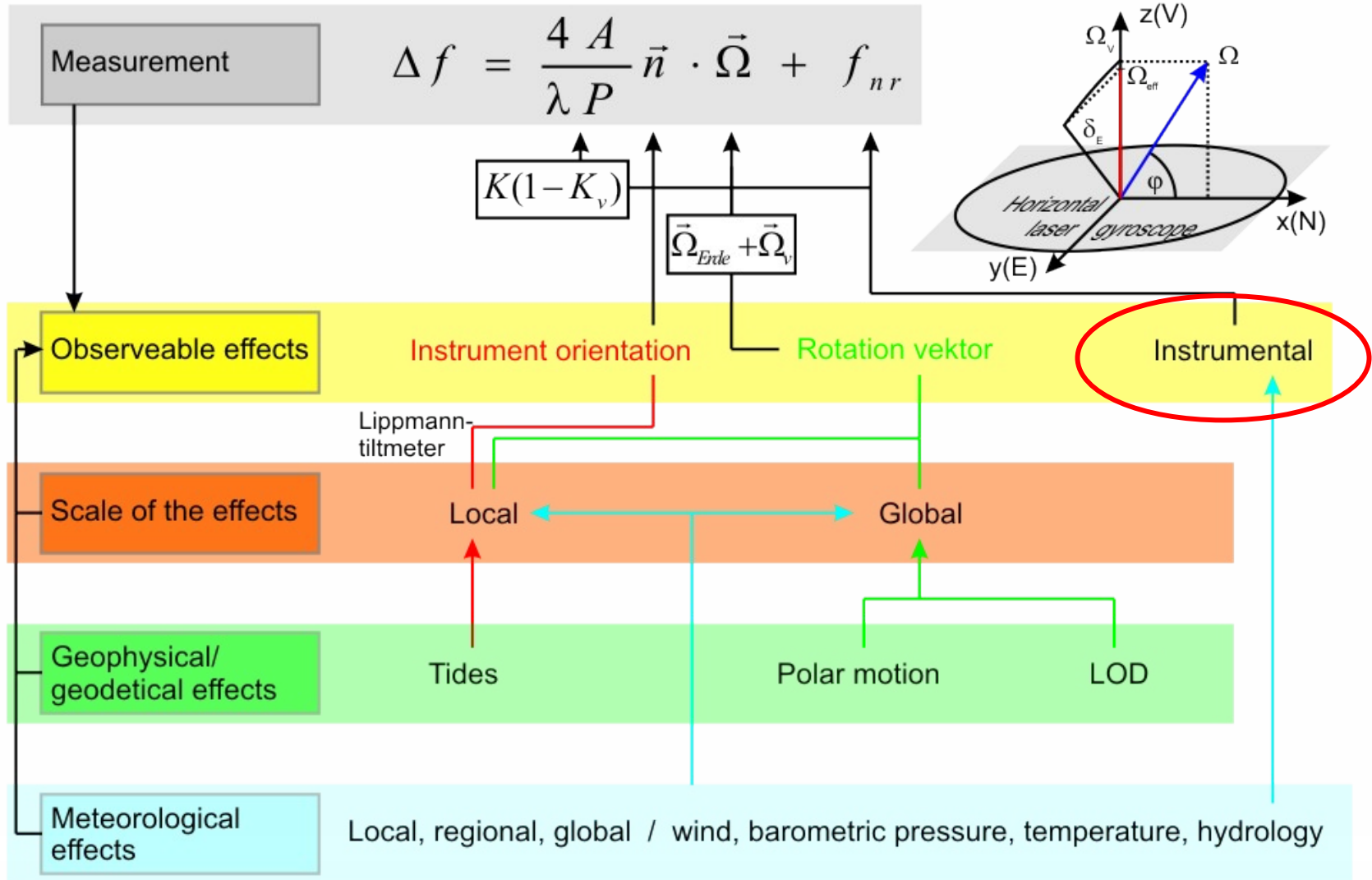
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals**
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook



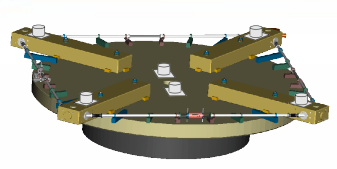
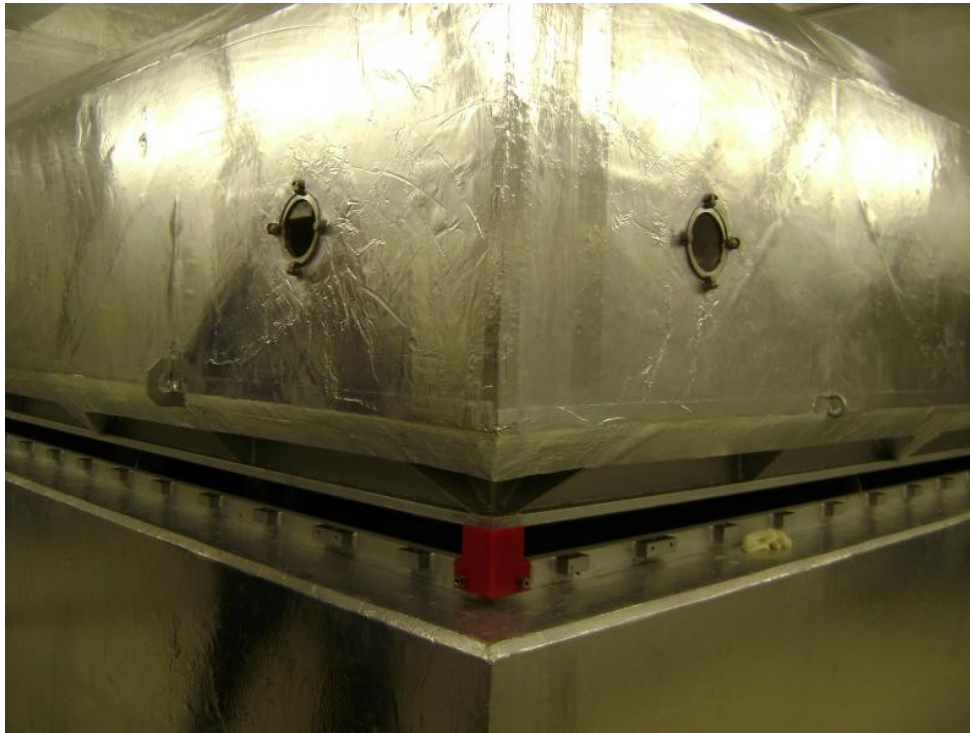
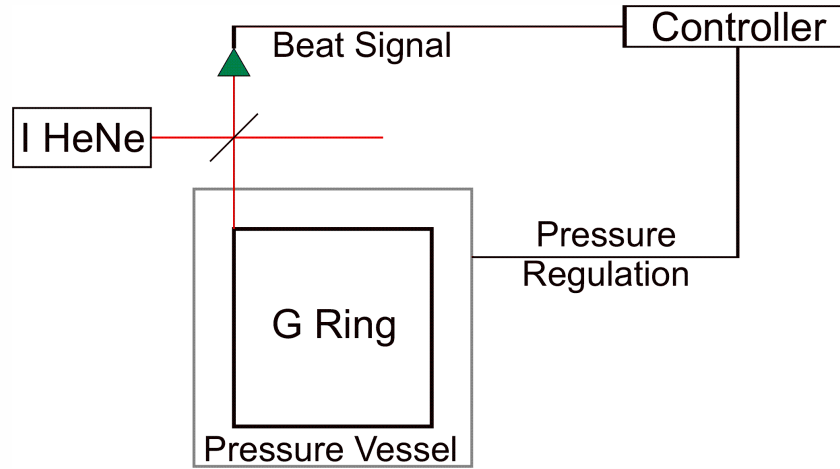
Sagnac Signal



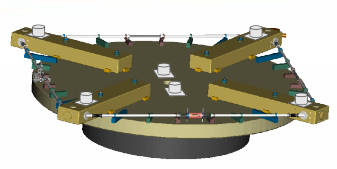
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals**
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook



Hardware Update – pressure regulation



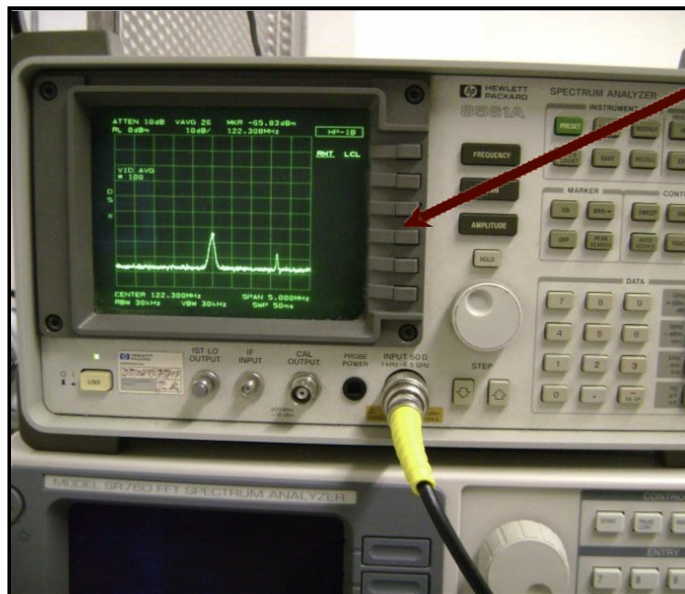
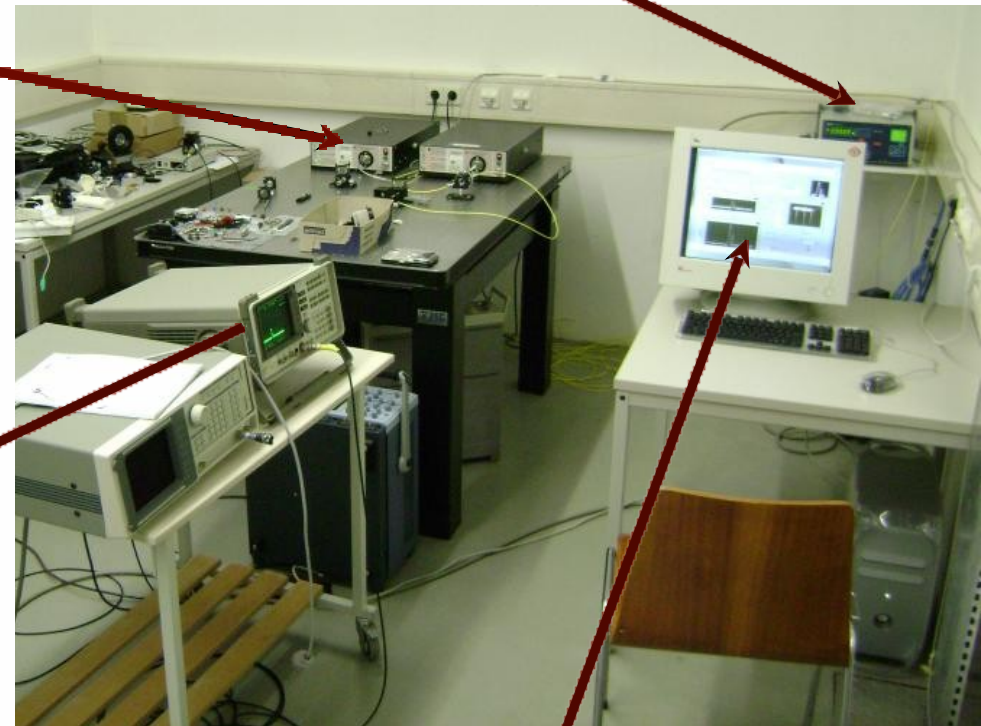
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware**
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook



Hardware Update – pressure regulation

Pressure Regulator

Iodine stab. Laser



Feedback System

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware**
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook

Hardware Updates

$$\Delta f = \frac{4A}{\lambda P} n \cdot \Omega + f_{nr}$$

=const (4A=const)
Pressure regulation

$f_{nr1} = \text{const}$
Digital power control

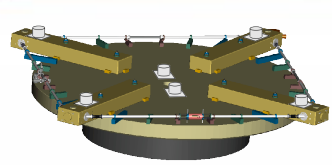
Avoid changes by barometric
pressure and temperature.

Avoid drift of the
Sagnac-Frequency

$f_{nr2} \neq \text{const}$
Backscatter

→ Actual stability $\sim 10^{-8}$ – 10^{-9}

→ Intended stability in scale factor 10^{-10}



Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

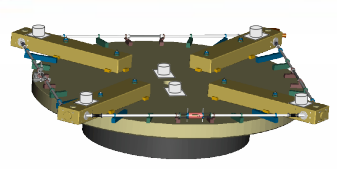
Meteorological
effects

Seismology

Actual Stability

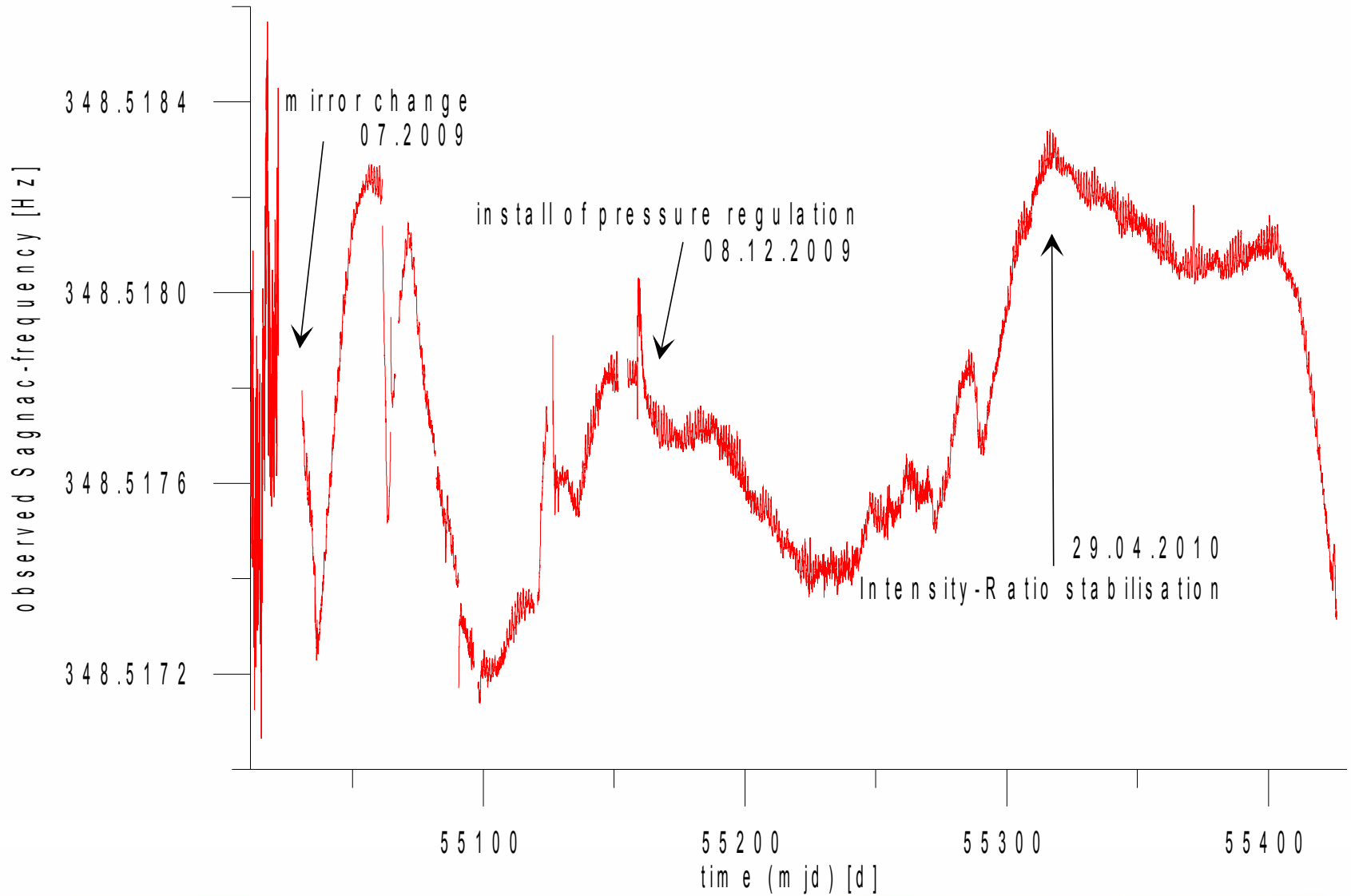
Conclusion

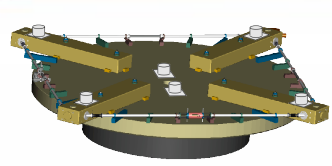
Outlook



Sagnac Signal

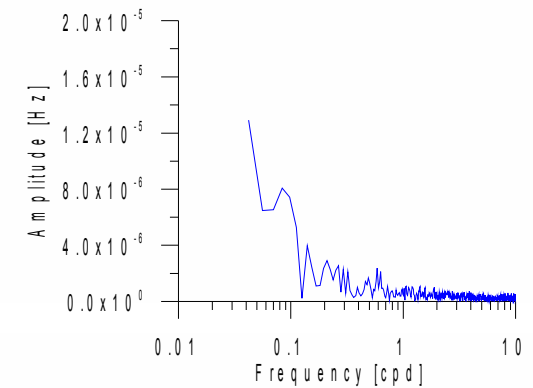
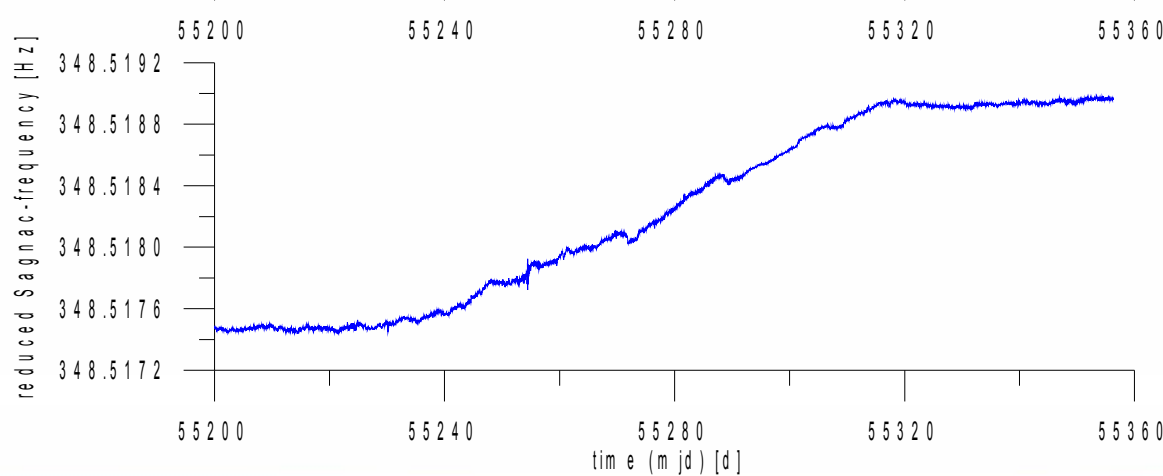
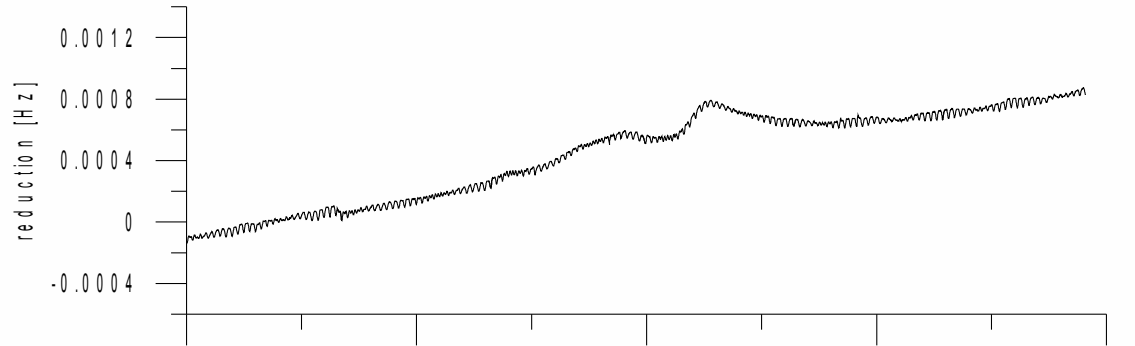
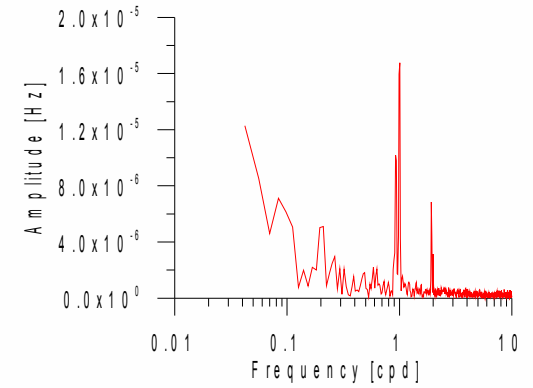
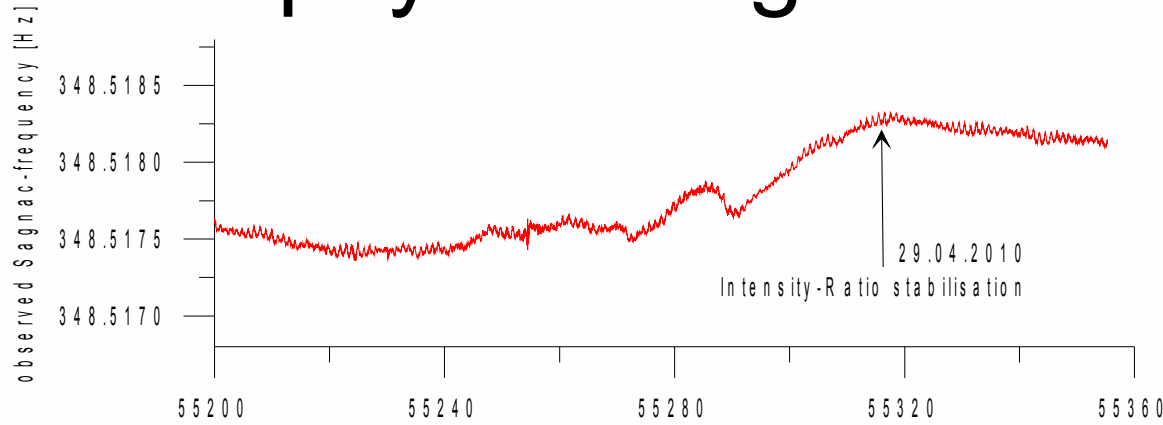
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data**
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook

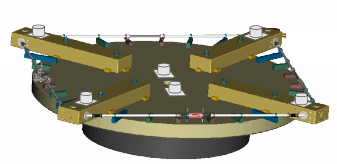




Geophysical Signals

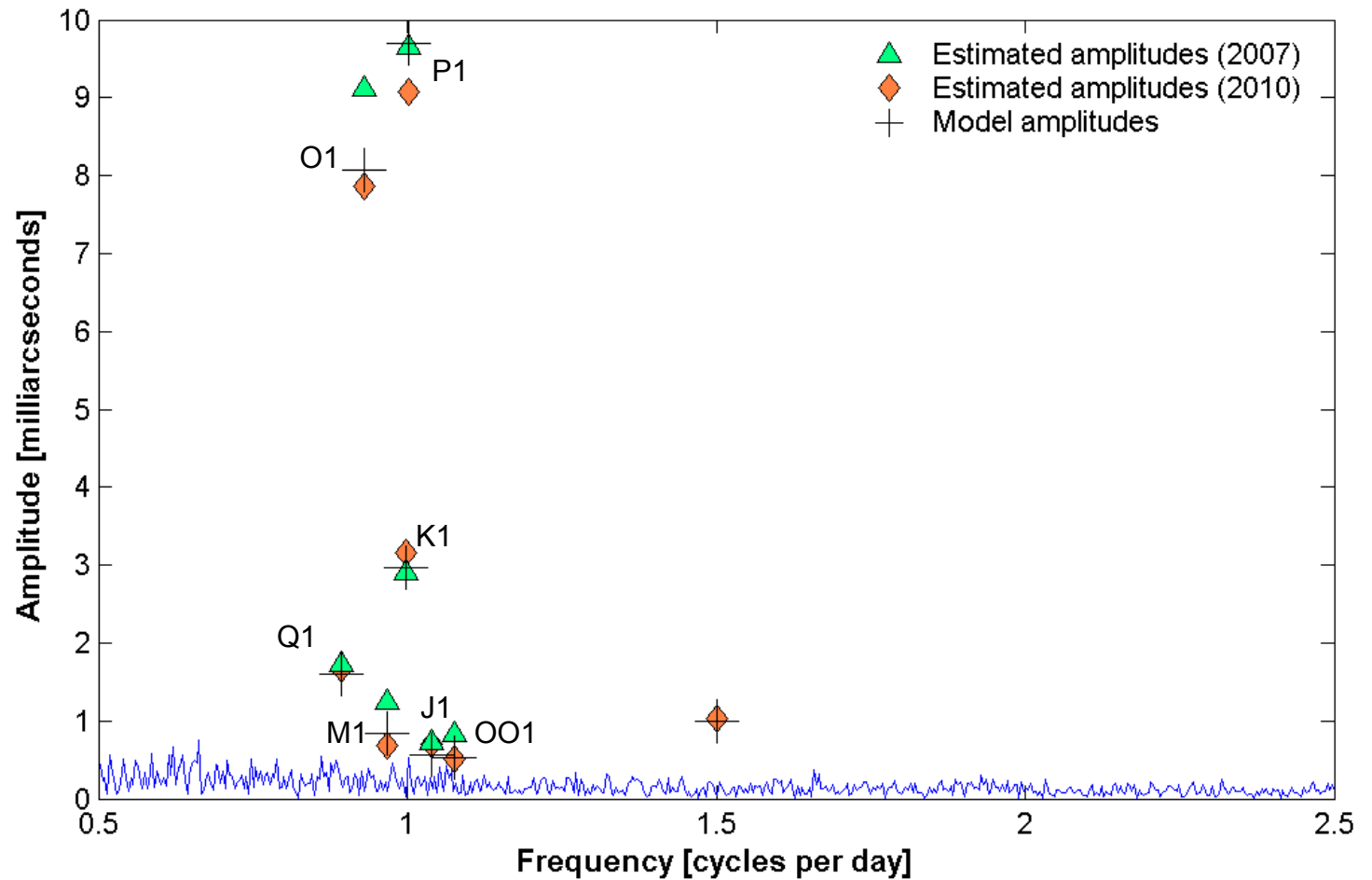
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook



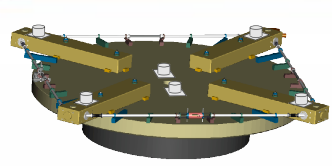


Polar Motion

Amplitude estimation of 7 Oppolzer terms (Q1,O1,M1,P1,K1,J1,OO1), timeseries 2006-2007 (244 days) and 2009-2010 (263 days)

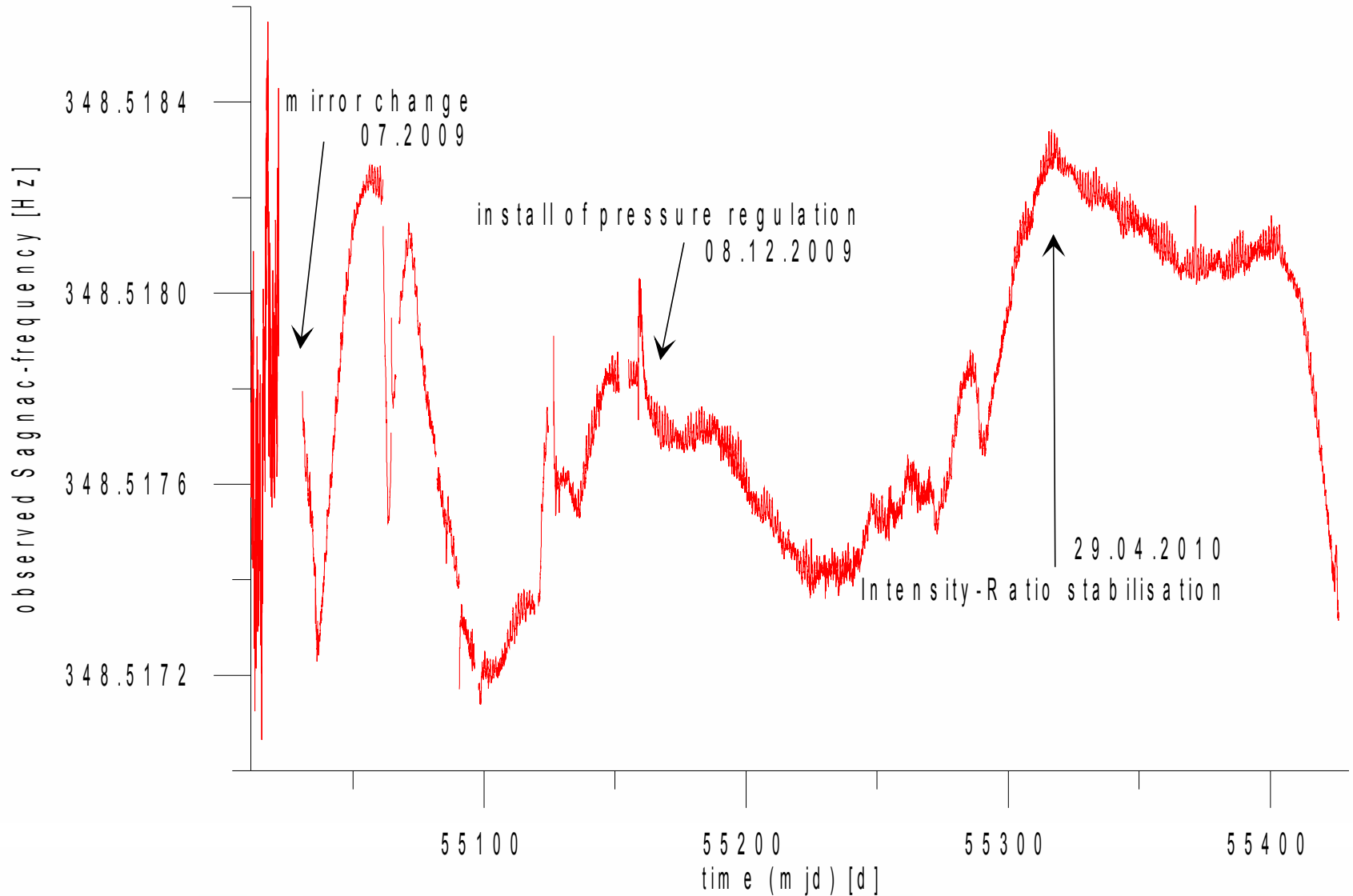


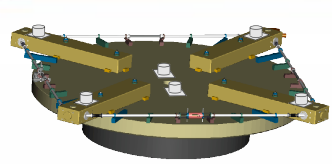
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data**
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook



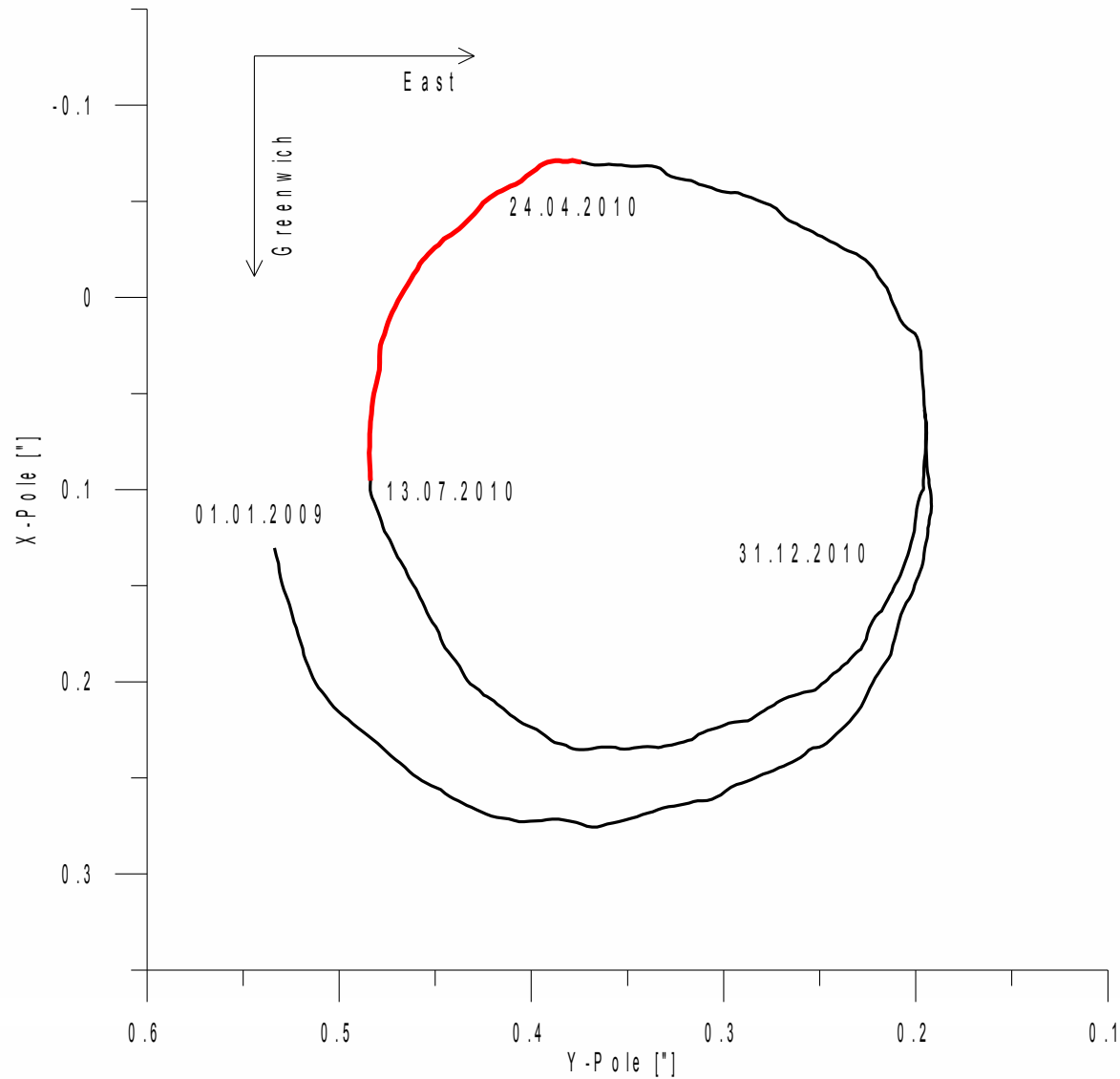
Sagnac Signal – Chandler/annual wooble

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data**
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook

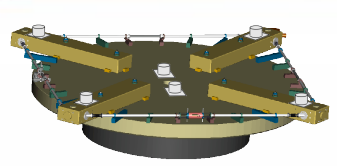




EOP (C04)

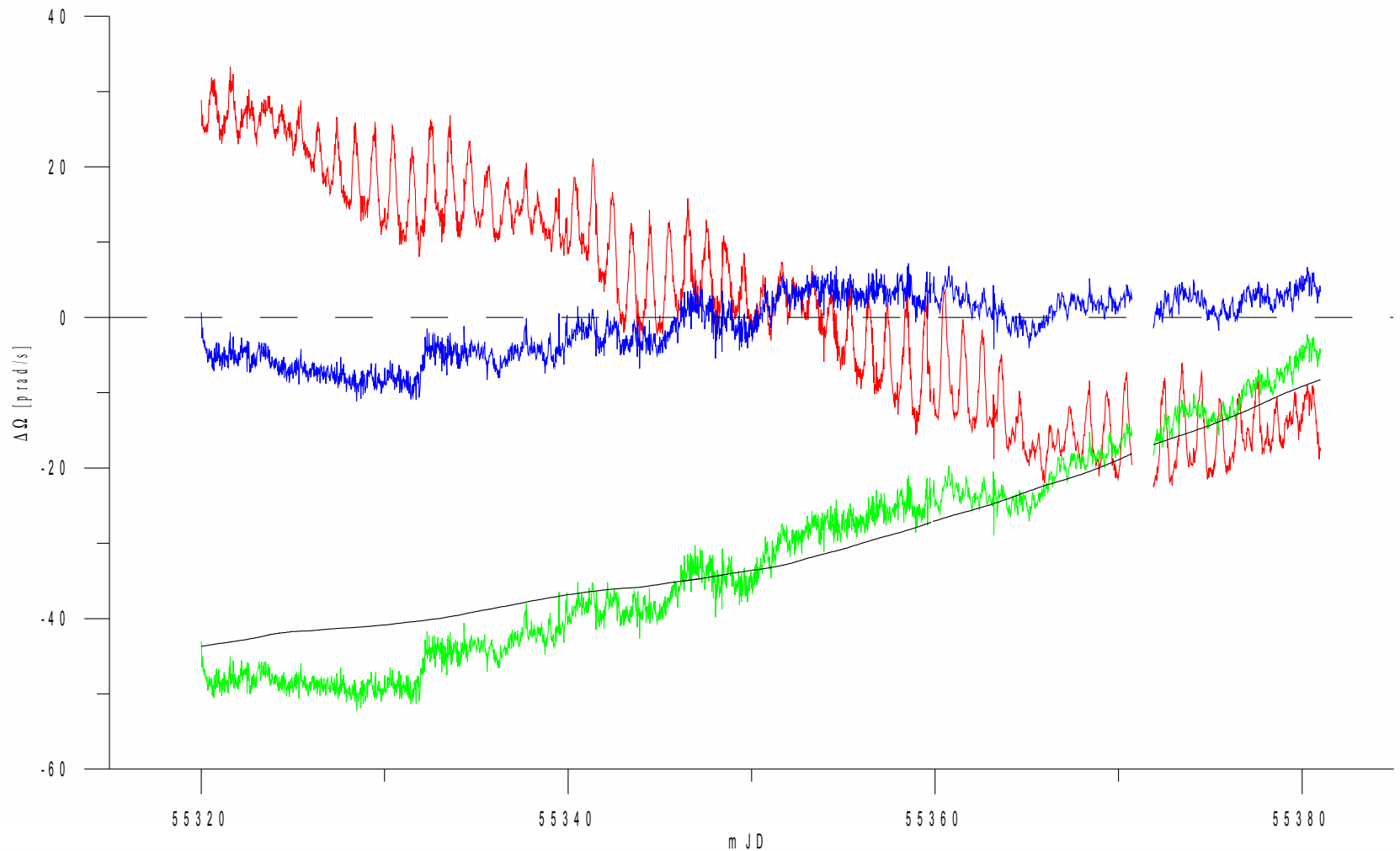


- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data**
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook



Chandler Wobble

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data**
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook





Long term Effects

- Periodic / Global effects well investigated:
 - Tidal tilt
 - Earth axis orientation changes (Oppolzer term)

→ Models are working
- Chandler Wooble is detected
- Several signatures in the data are still not understood

Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

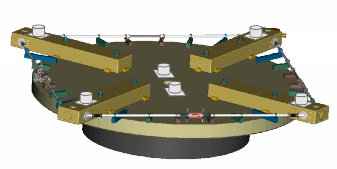
Meteorological
effects

Seismology

Actual Stability

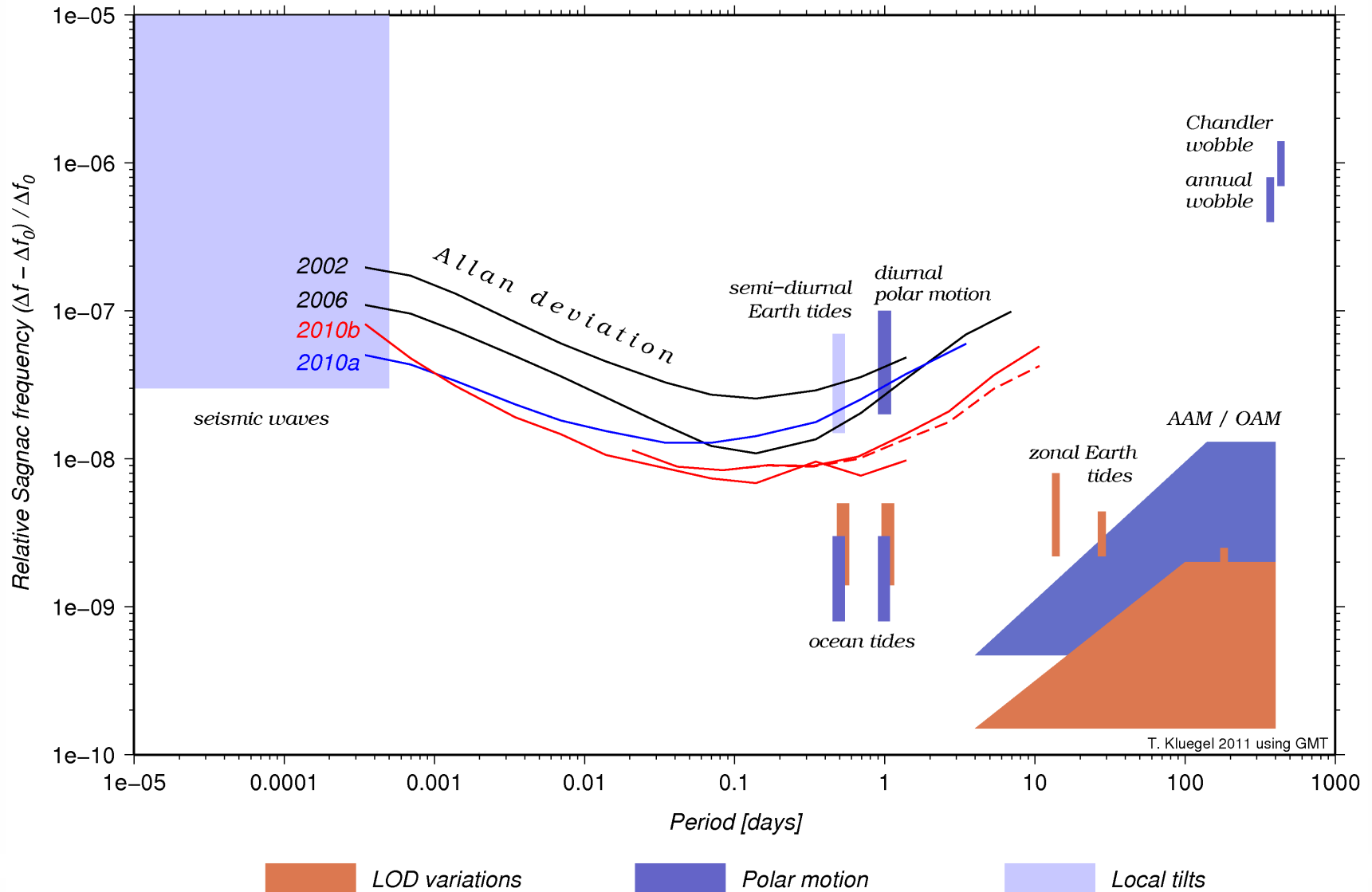
Conclusion

Outlook

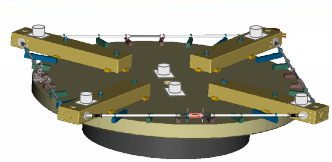


Ringlaser Stability

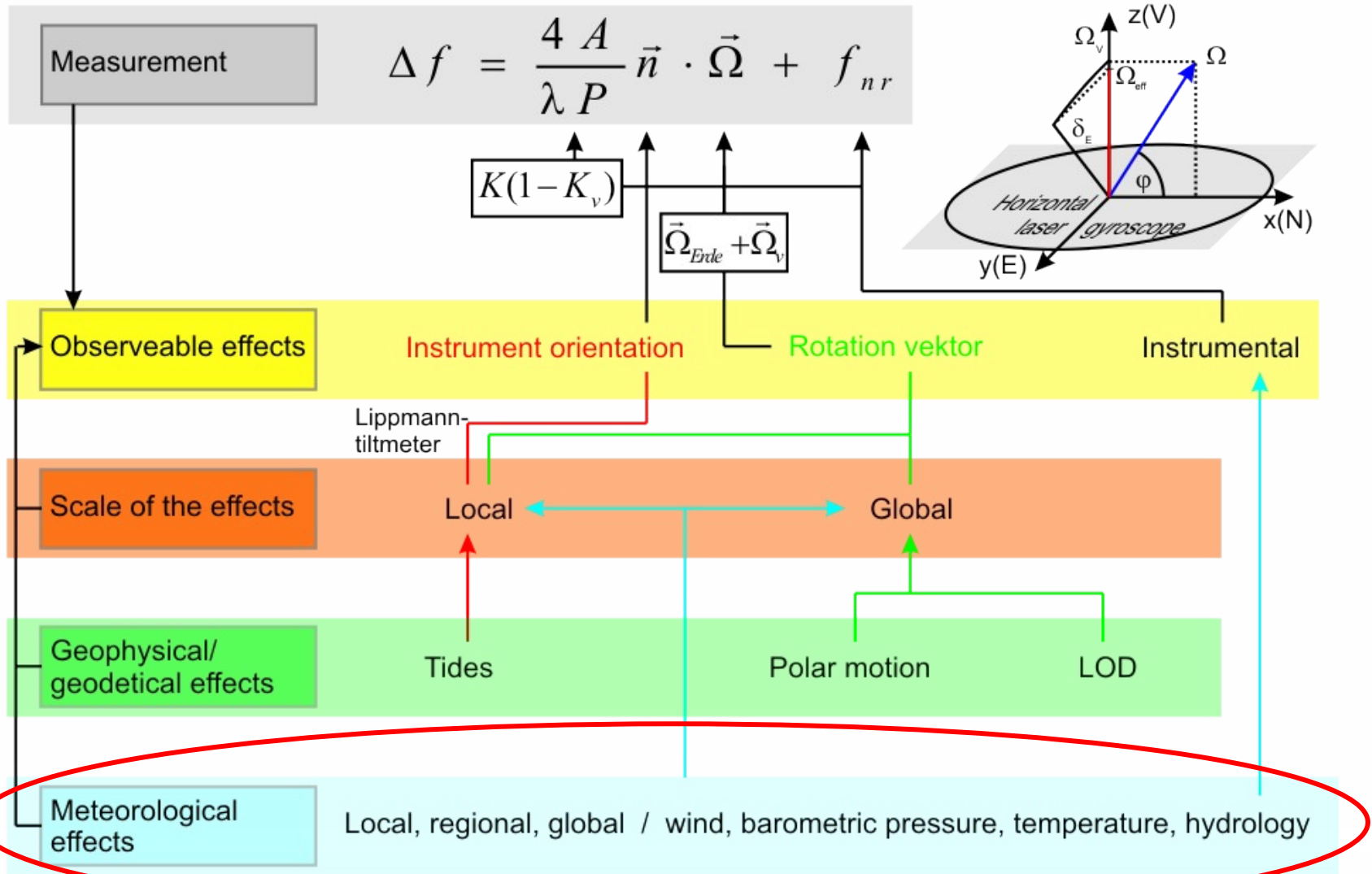
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data**
- Stability
- Meteorological effects
- Seismology
- Actual Stability
- Conclusion
- Outlook

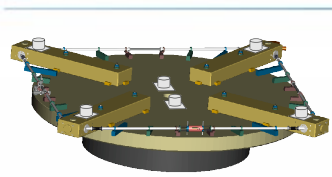


Meteorological effects



- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook





Meteorological effects

Possible forced by:

- Barometric pressure
- Temperature
- Hydrology
- Wind

Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

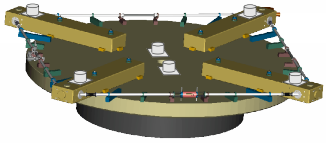
**Meteorological
effects**

Seismology

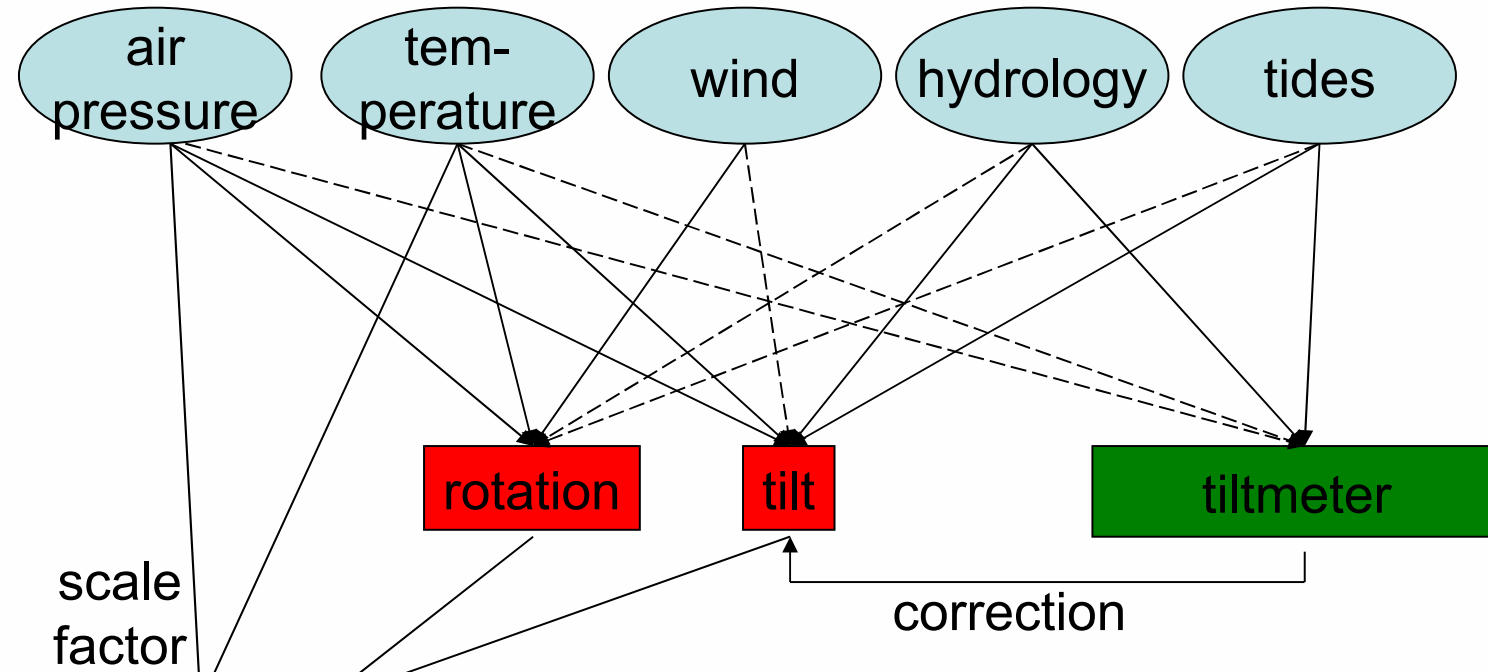
Actual Stability

Conclusion

Outlook



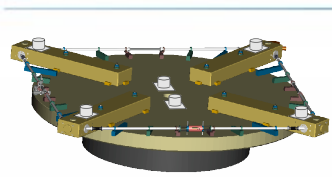
Local (disturbing-) effects



$$f_{Sagnac} = \frac{4 \cdot L}{\lambda \cdot P} \cdot \vec{n} \cdot \vec{\Omega} \pm f_{Instrument}$$

- elastic effects
- Thermo-elastic effects
- Cavity effect
- geological effects
- Tilt-Strain-coupling

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



Local effects

- Barometric pressure changes
- Temperature changes
- Ground water level changes
- Wind effects

Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

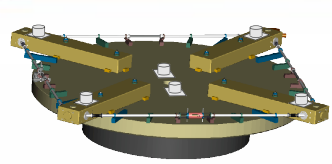
**Meteorological
effects**

Seismology

Actual Stability

Conclusion

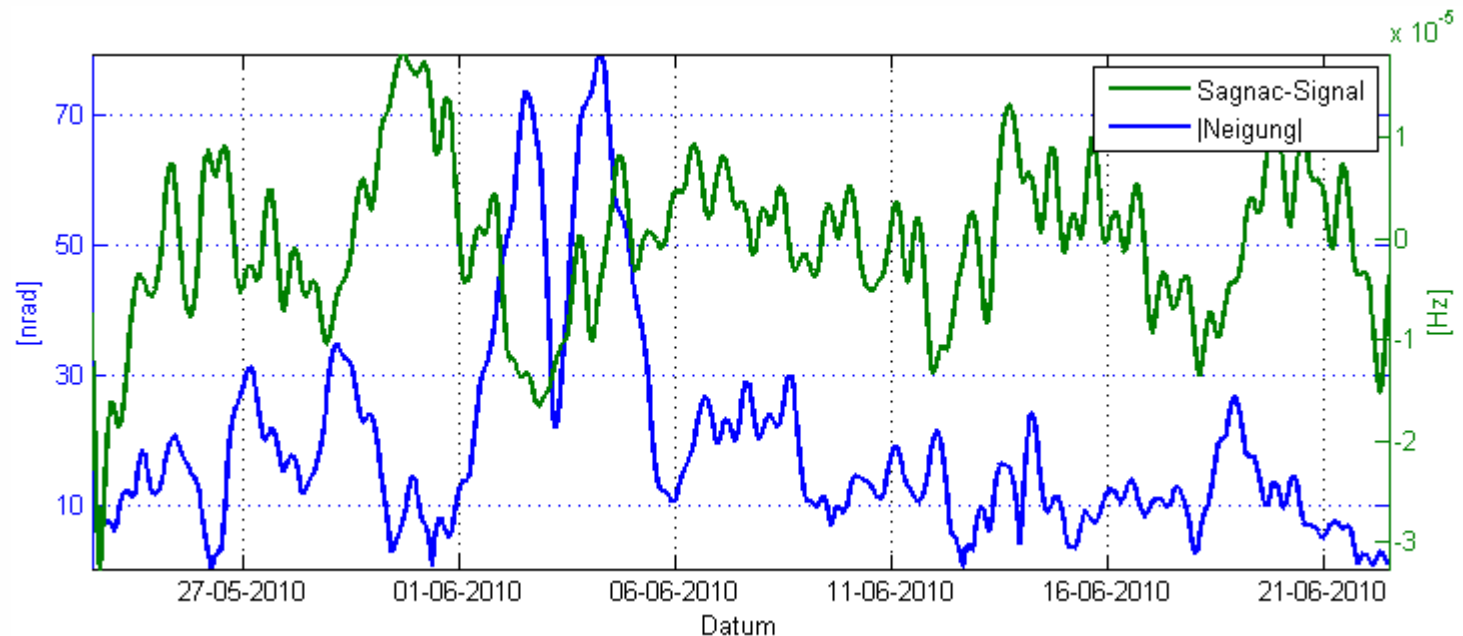
Outlook



Hydrological effects

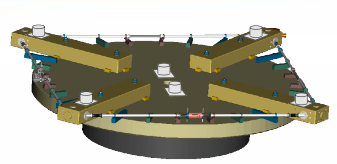
Can groundwater level changes cause rotations?

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



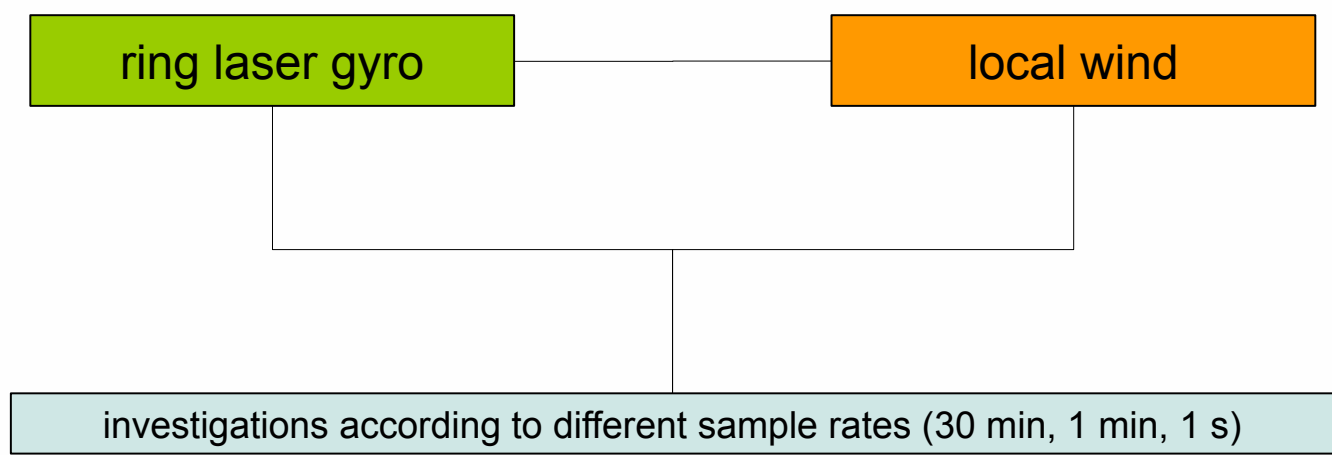
→ No

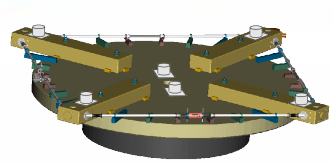
Stetter 2011



Local wind effects

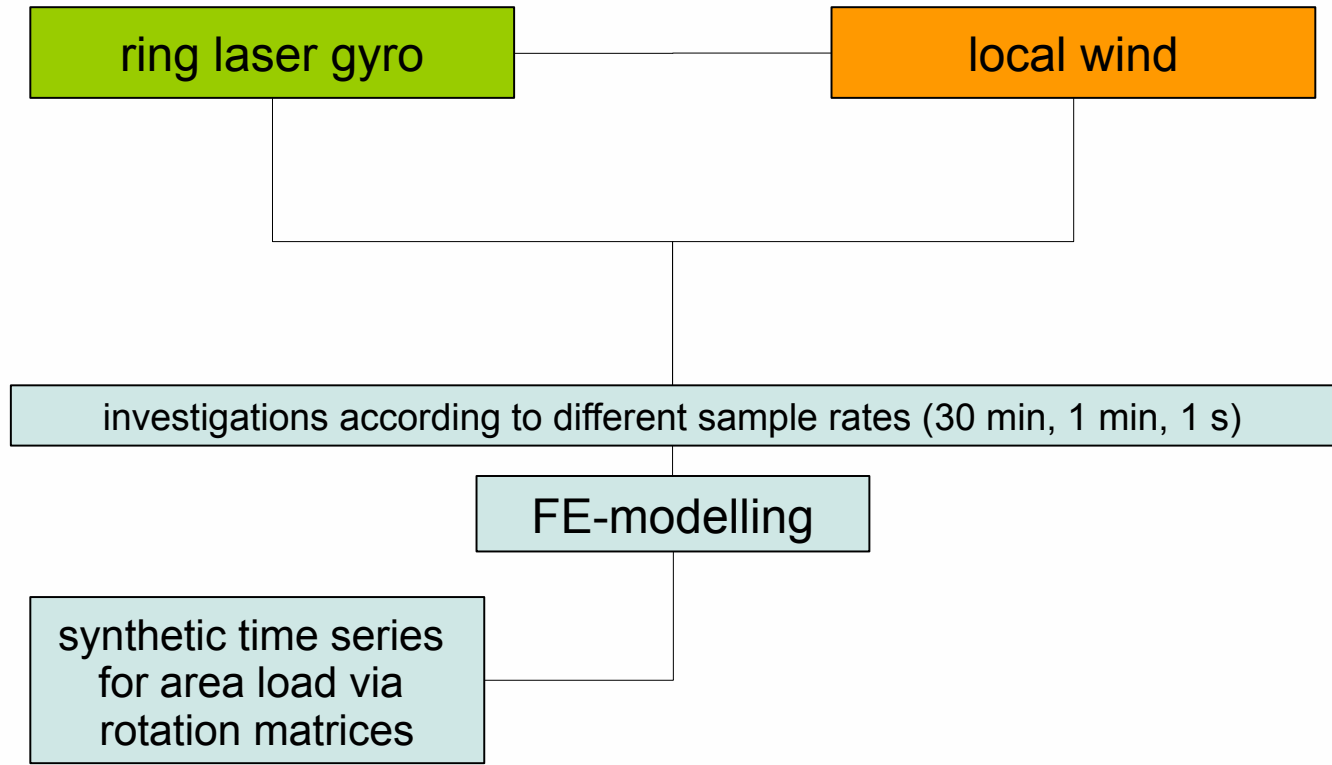
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



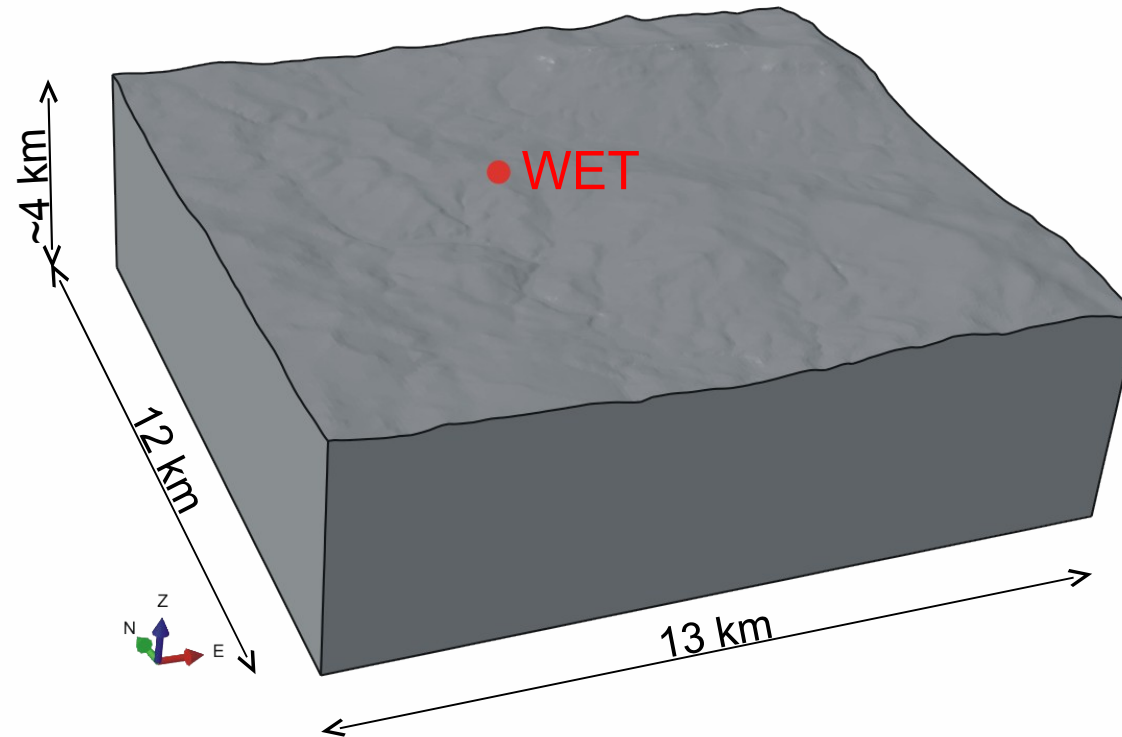


Local wind effects

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



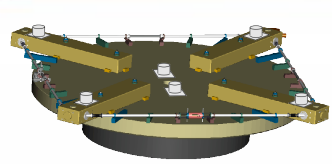
Local wind effects – FE-Model



Elastische Rheologie

2.7 mio. Tetraeder

Knoten basierende Last auf Oberfläche aus DGM und DLM



Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

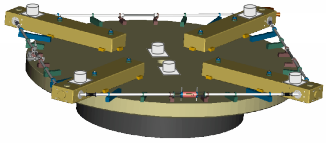
**Meteorological
effects**

Seismology

Actual Stability

Conclusion

Outlook



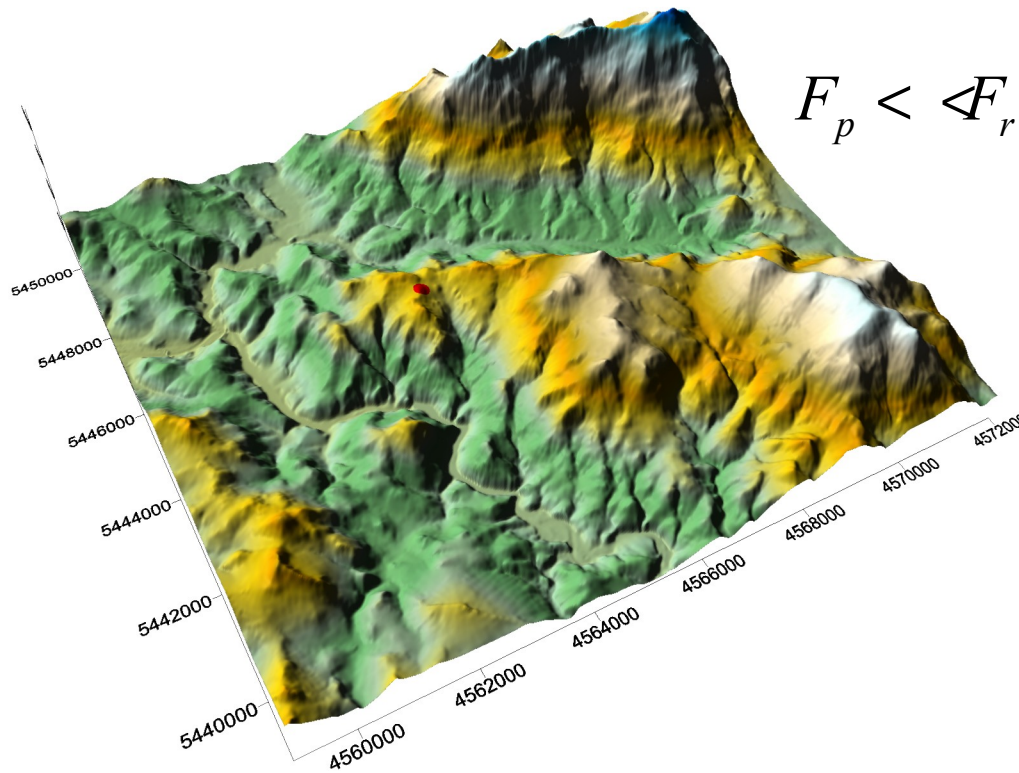
Local wind effects – FE-Model

$$F_w(i, j) = F_{p(i, j)} + F_{r(i, j)}$$

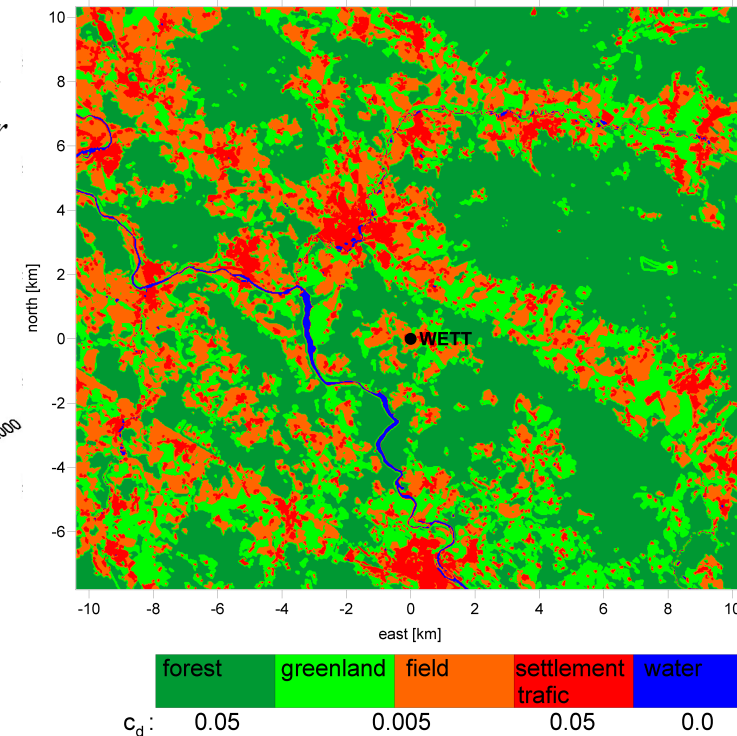
$$F_w(i, j) = \frac{\rho}{2} c_d v^2 A_{i, j} + \frac{\rho}{2} c_{d(i, j)} v^2 A_0$$

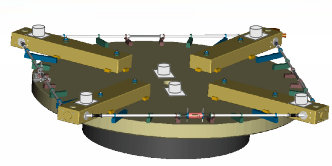
- F_w -acting wind force
- ρ -Air density (1.23 kg/m³)
- c_d -,drag coefficient'
- v -wind velocity
- A -wind loaded Area

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



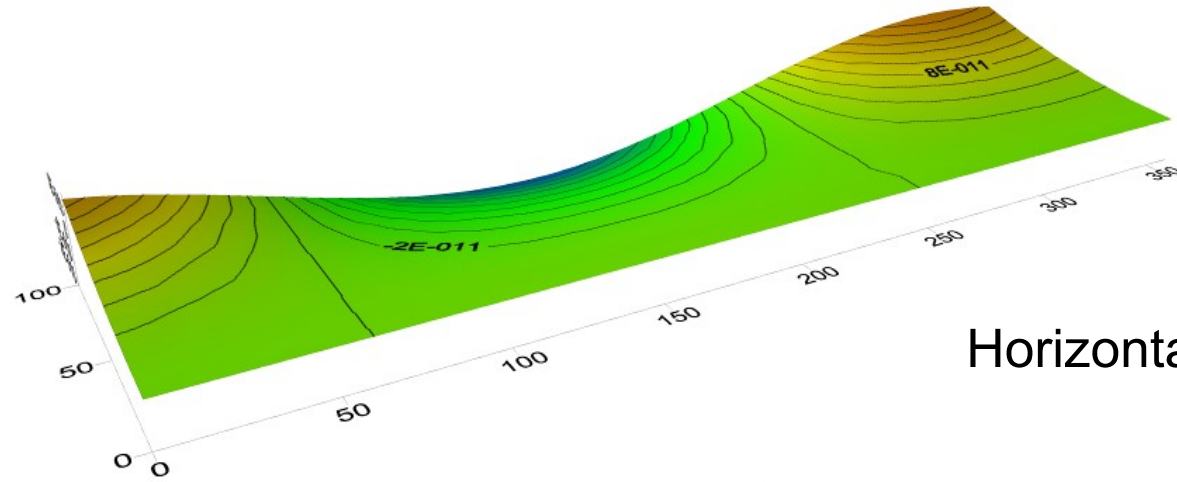
$$F_p < \langle F_r \rangle$$



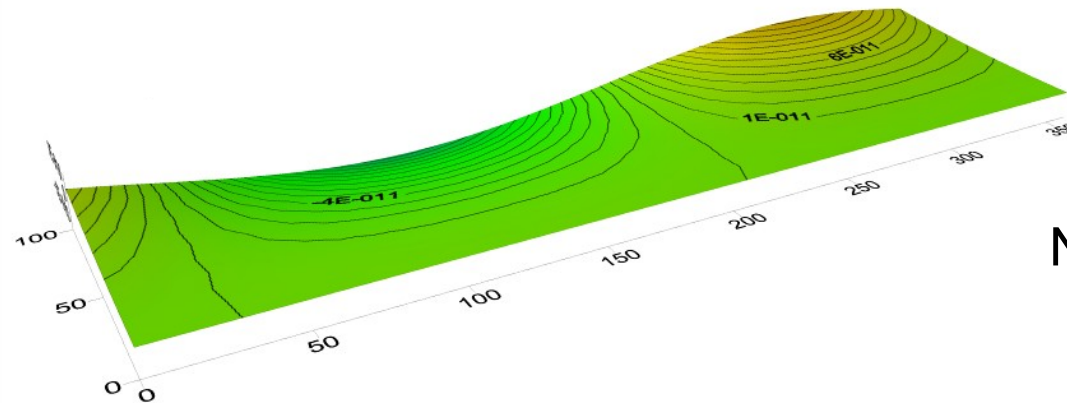


Local wind effects – FE-Model

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook

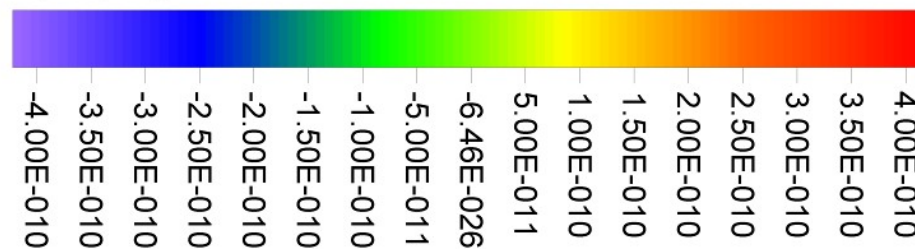


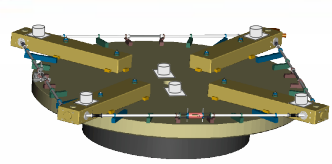
Horizontal Rotation



North Tilt

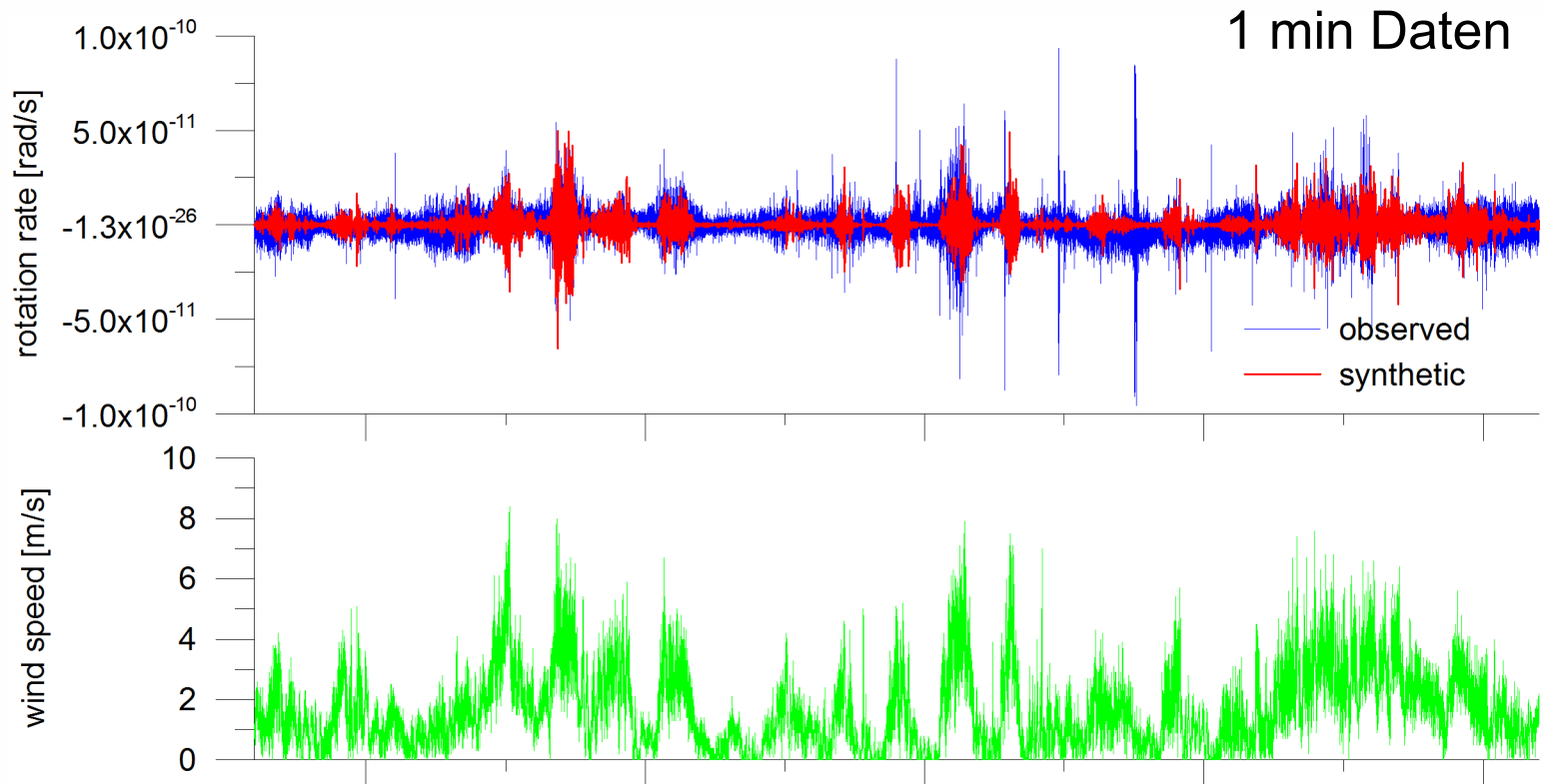
alpha [rad]

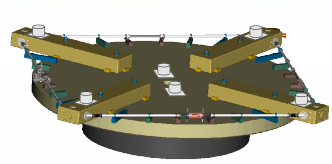




Local wind effects – FE-Model

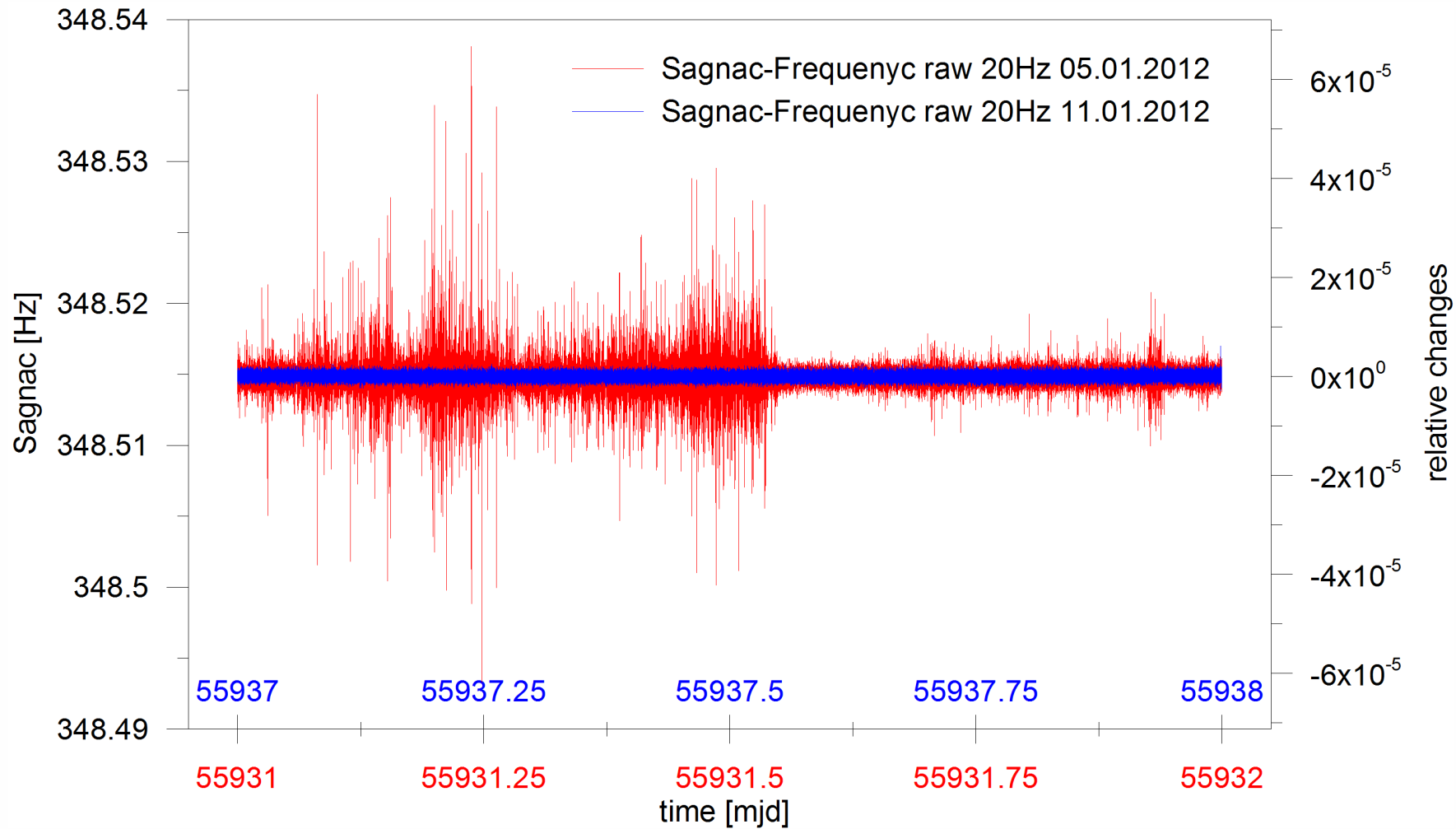
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook

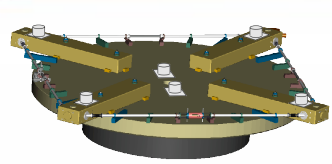




Local wind effects – 1 Sec. Data

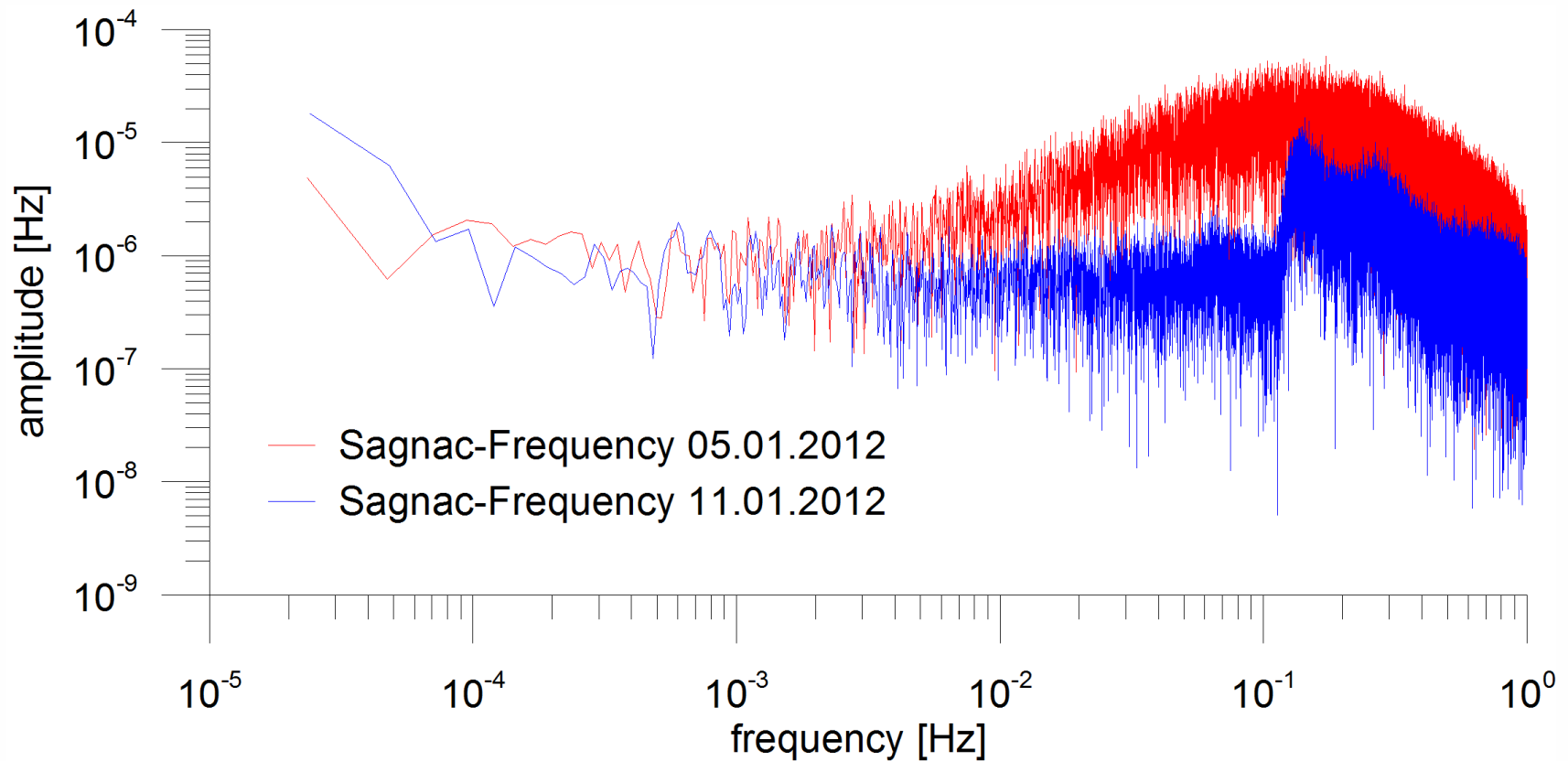
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook

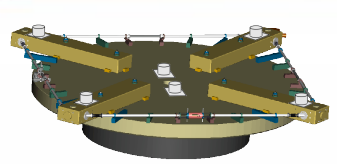




Local wind effects – 1 Sec. Data

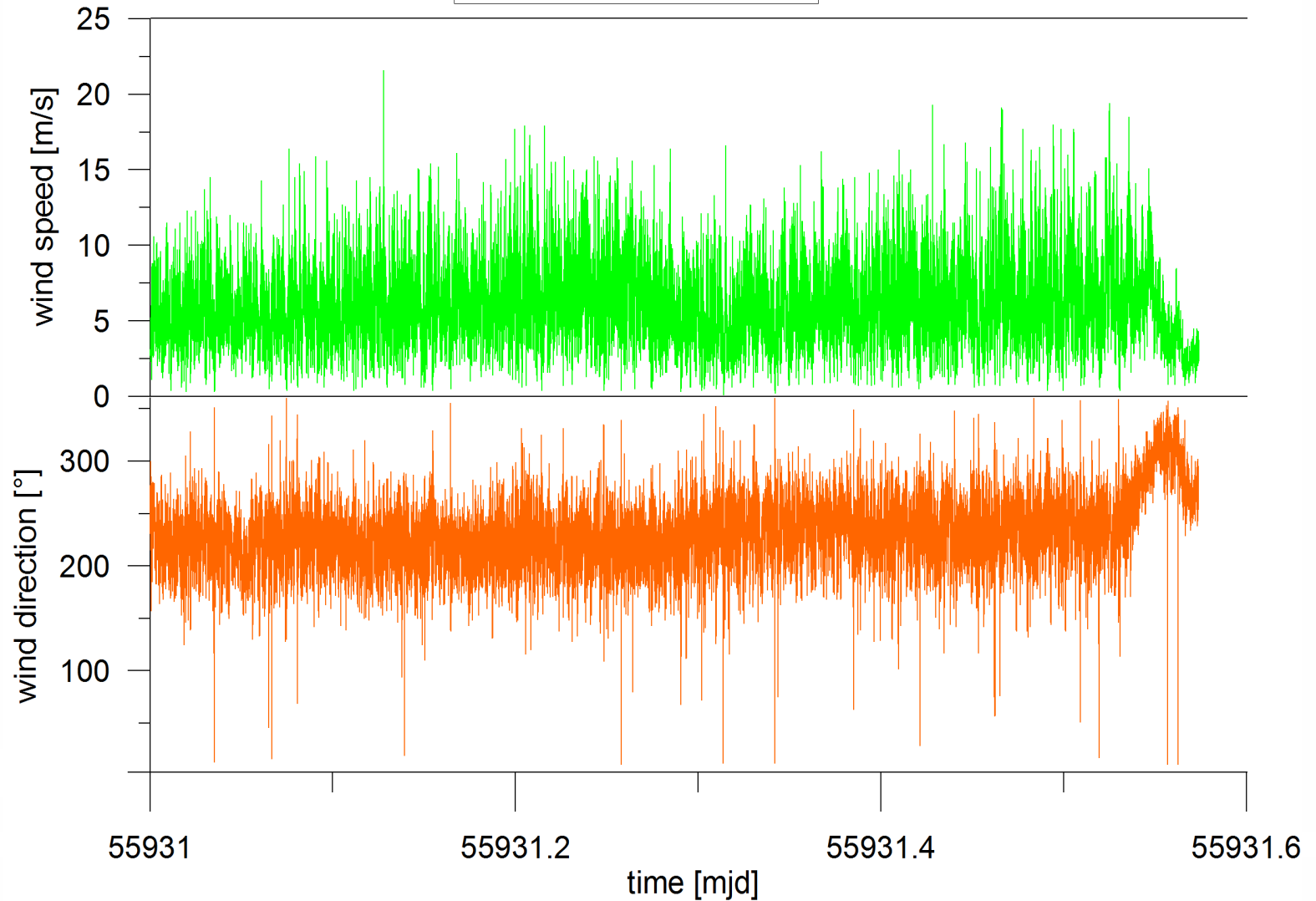
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



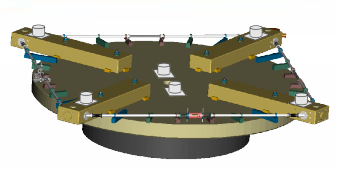


Local wind effects – 1 Sec. Data – Wind

Meteorological Parameter

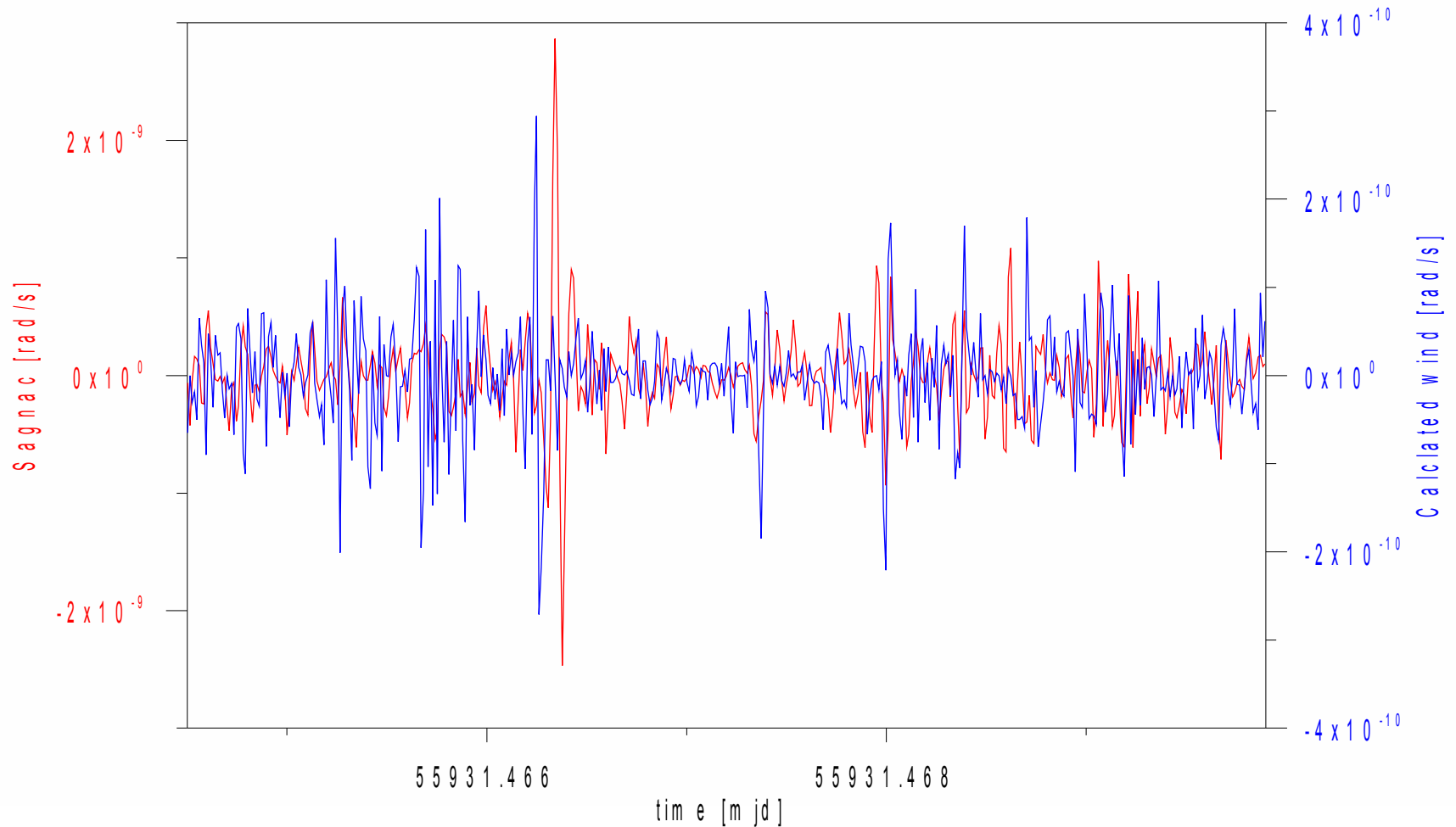


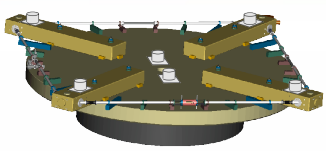
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



Local wind effects – 1 Sec. Data

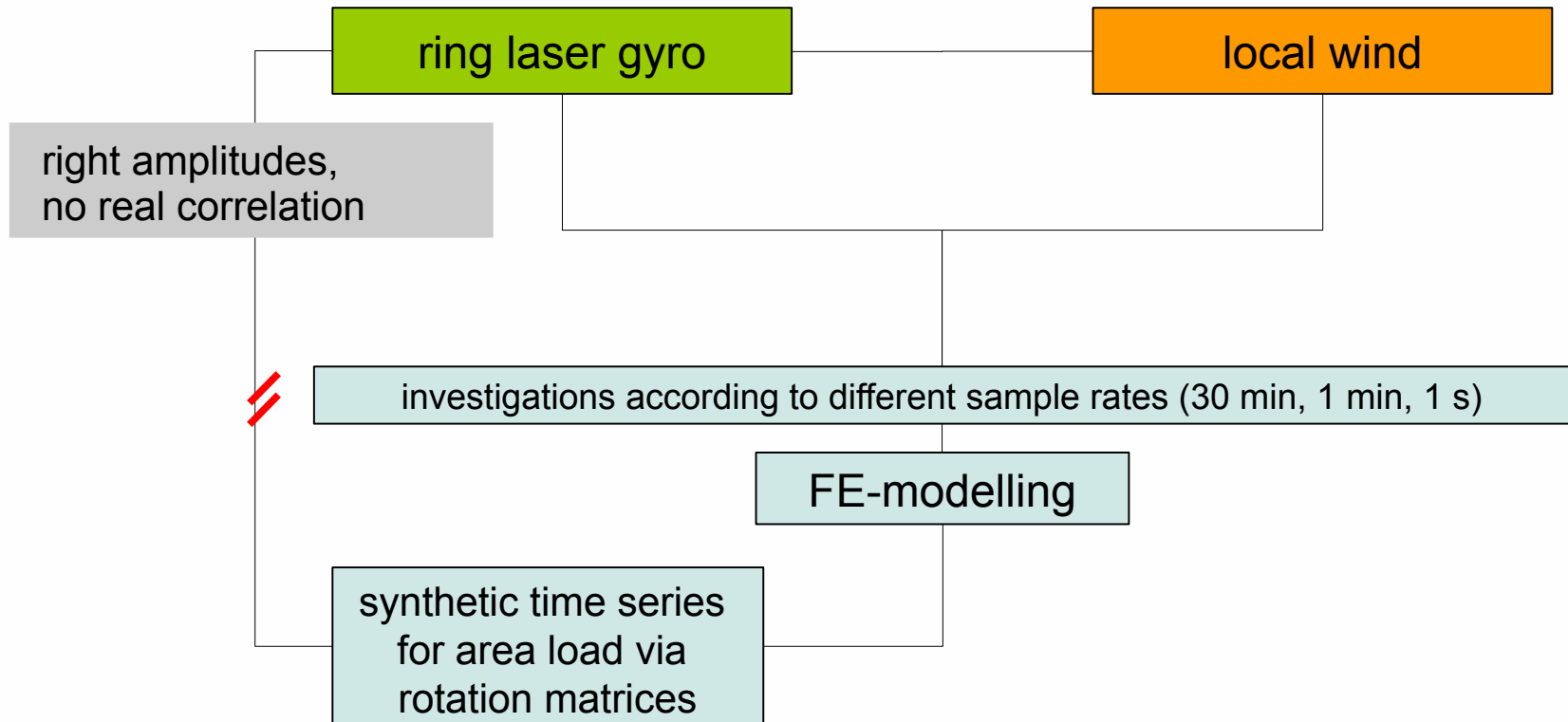
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook

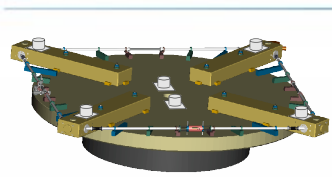




Local wind effects

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook





Locale wind effects

- amplitudes in the right order of magnitude
- deformation velocity $\sim 4\text{km/s}$ (seismic) \rightarrow instantaneous
- no correlation
 - additional def. due to e.g. marine micro seismic
 - phase shift due to wind squall, caused by distance of about 300 m of metrological station
 - incoherent waves in the soil
- small scaled effect

Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

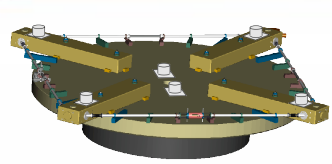
Meteorological effects

Seismology

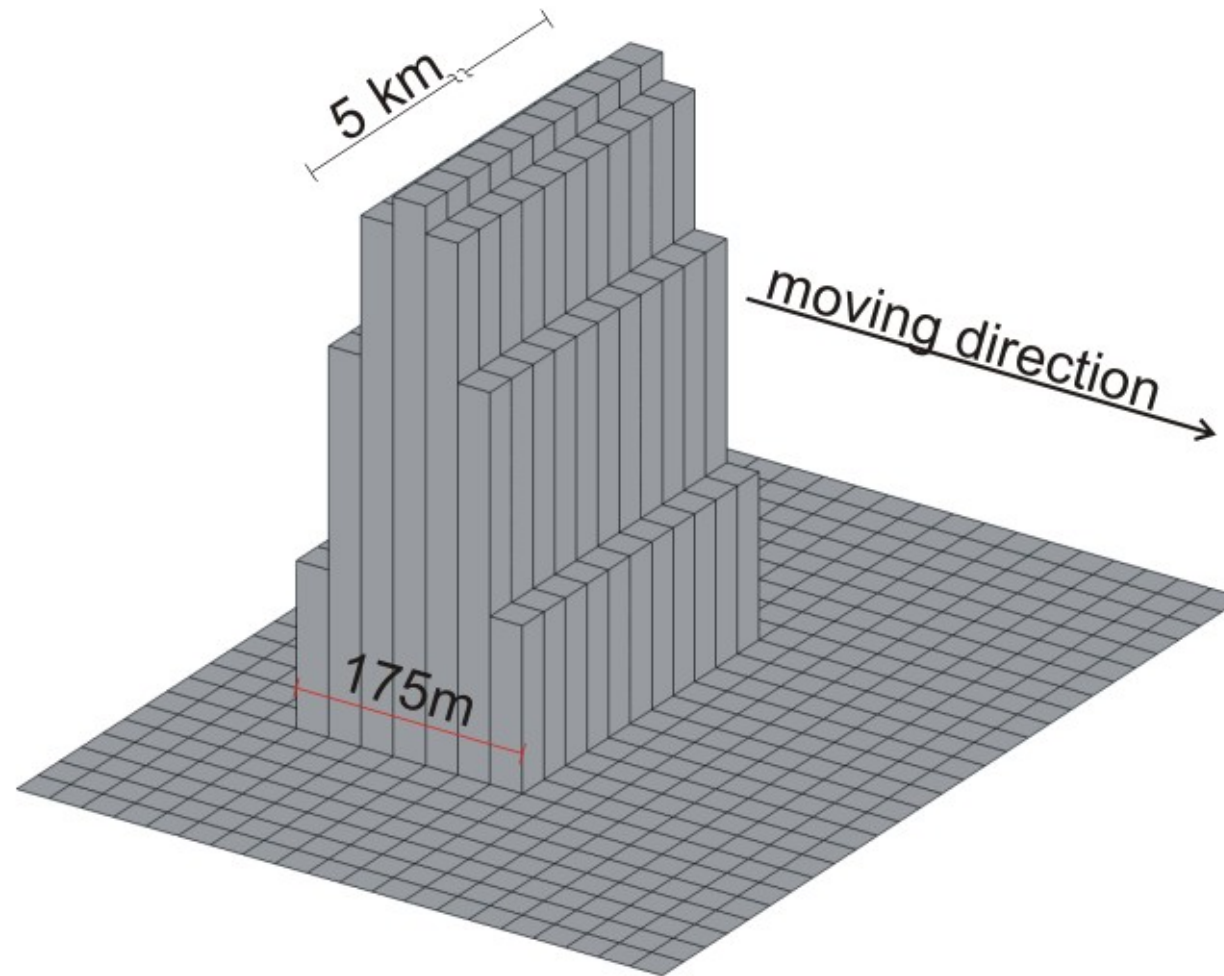
Actual Stability

Conclusion

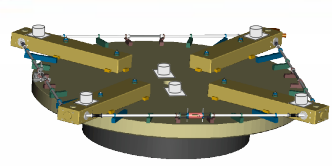
Outlook



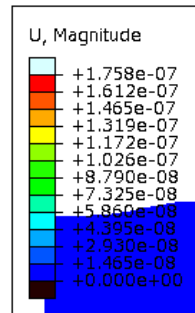
Local wind effects



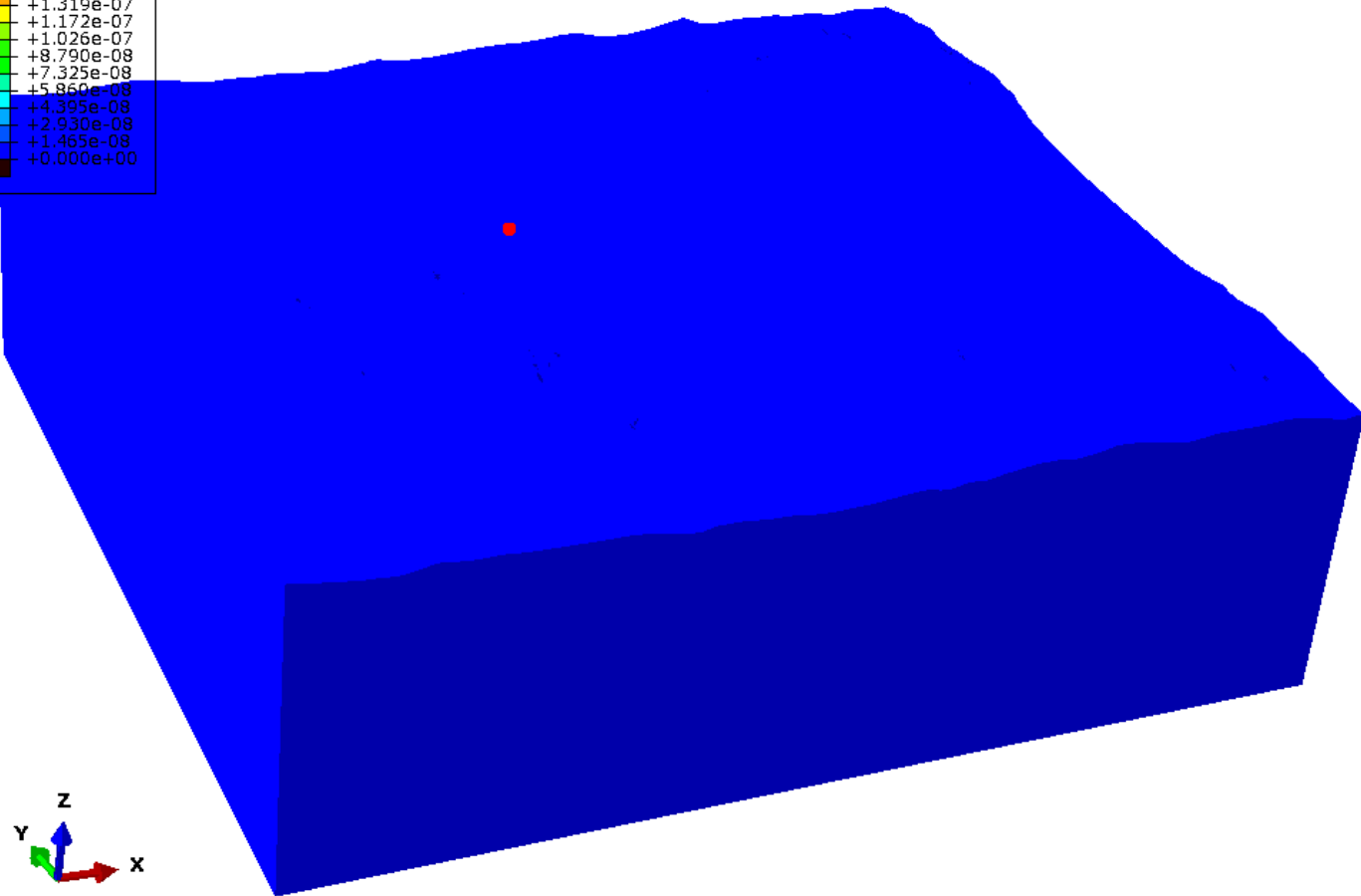
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



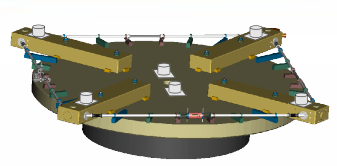
Local wind effects



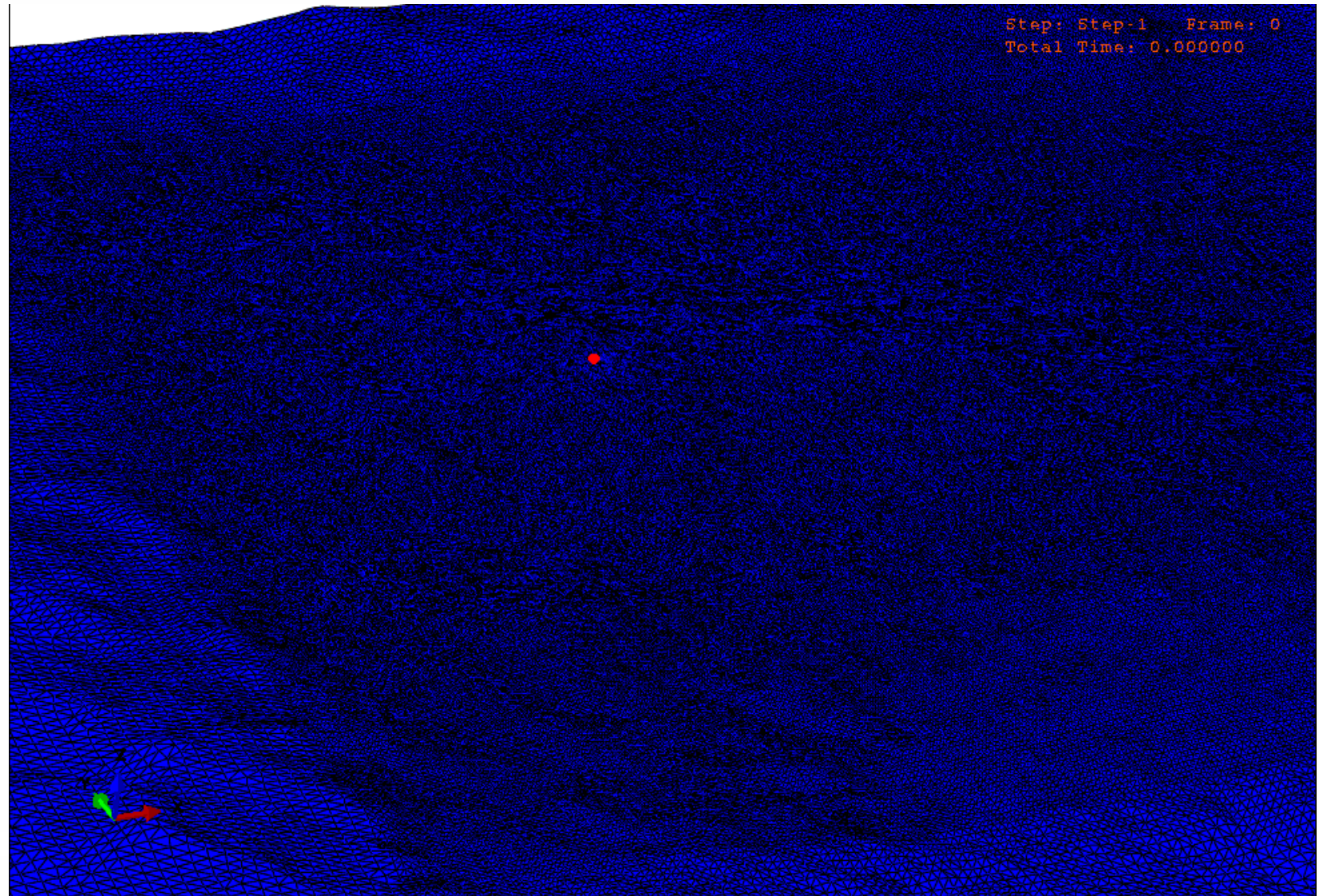
Step: Step-1 Frame: 0
Total Time: 0.000000



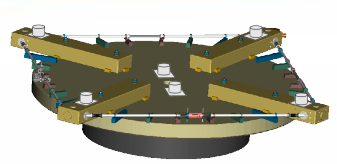
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



Local wind effects

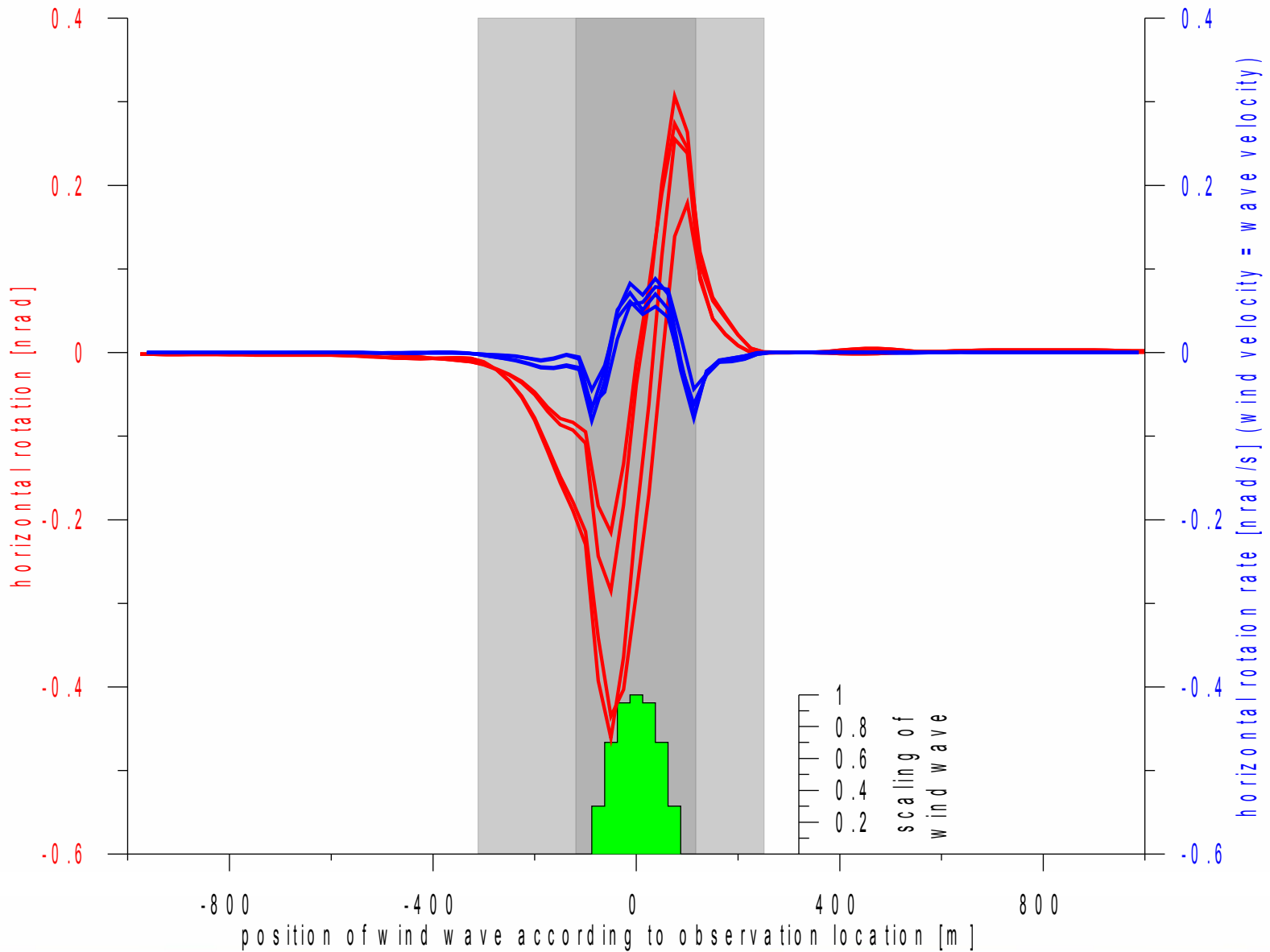


- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



Local wind effects

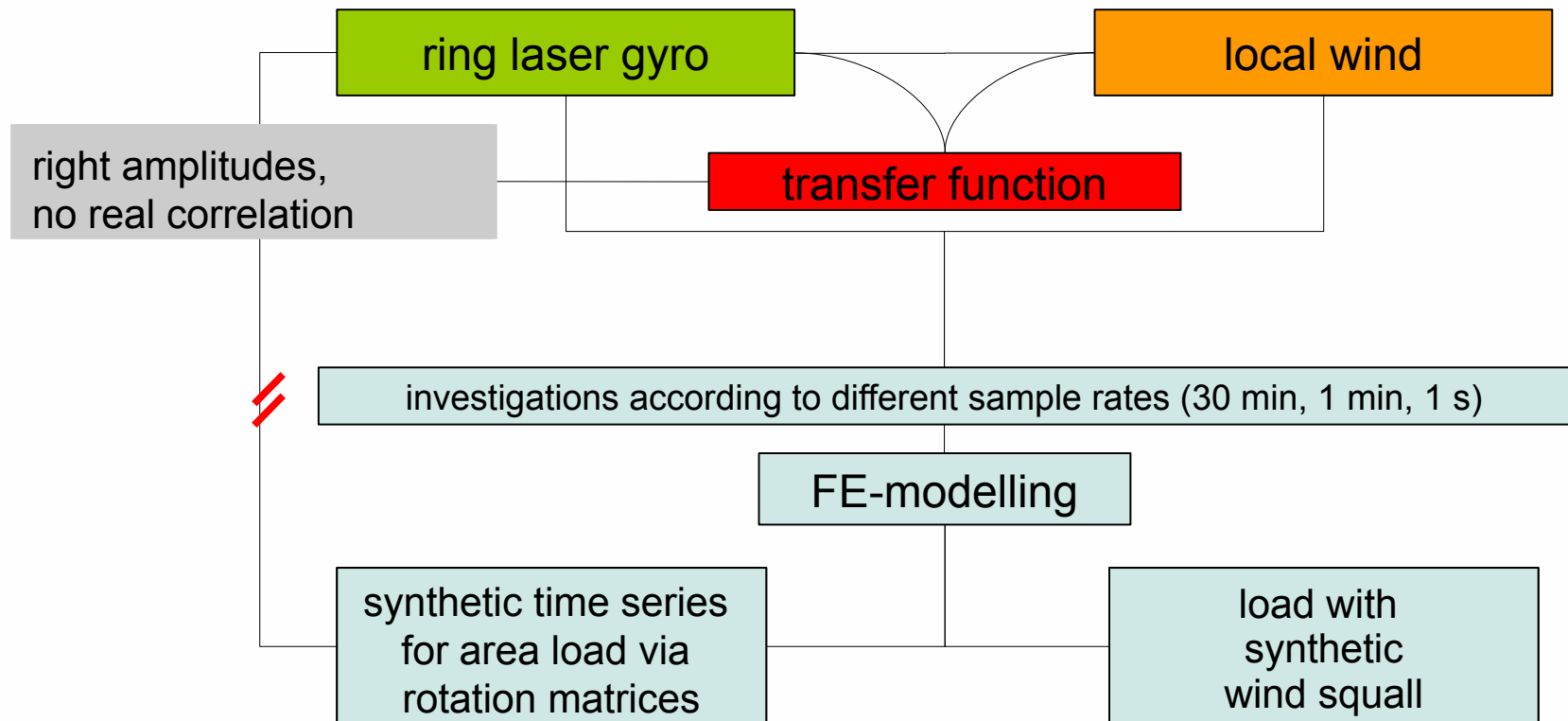
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook

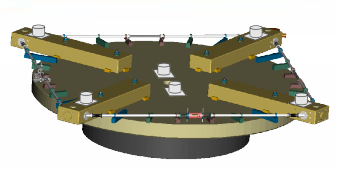




Local wind effects

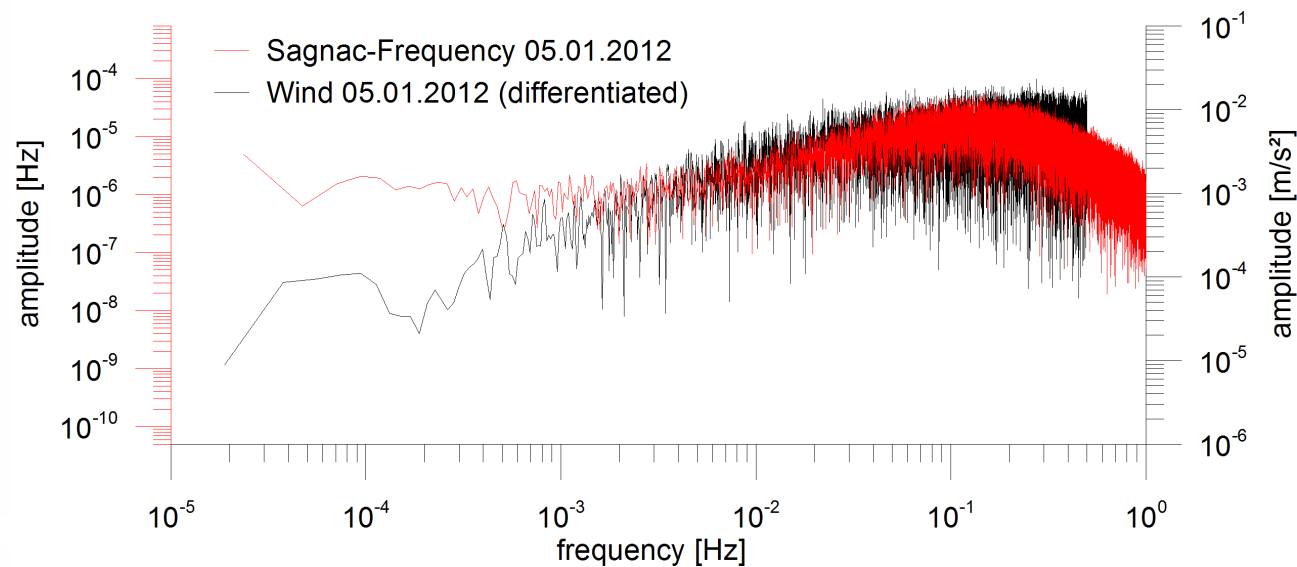
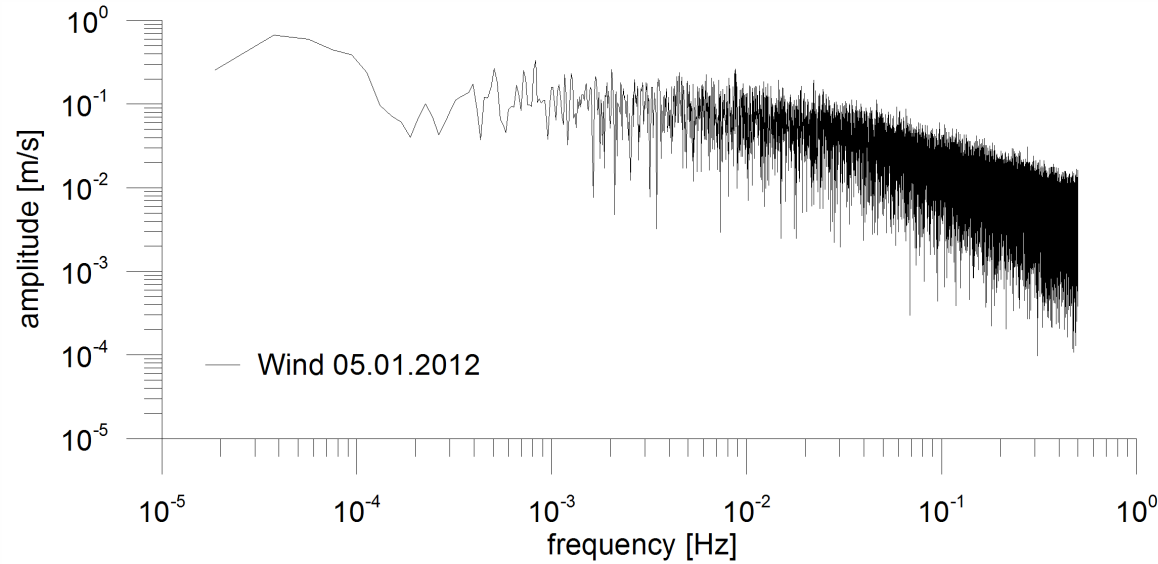
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook

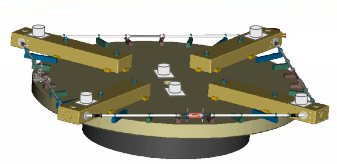




Local wind effects

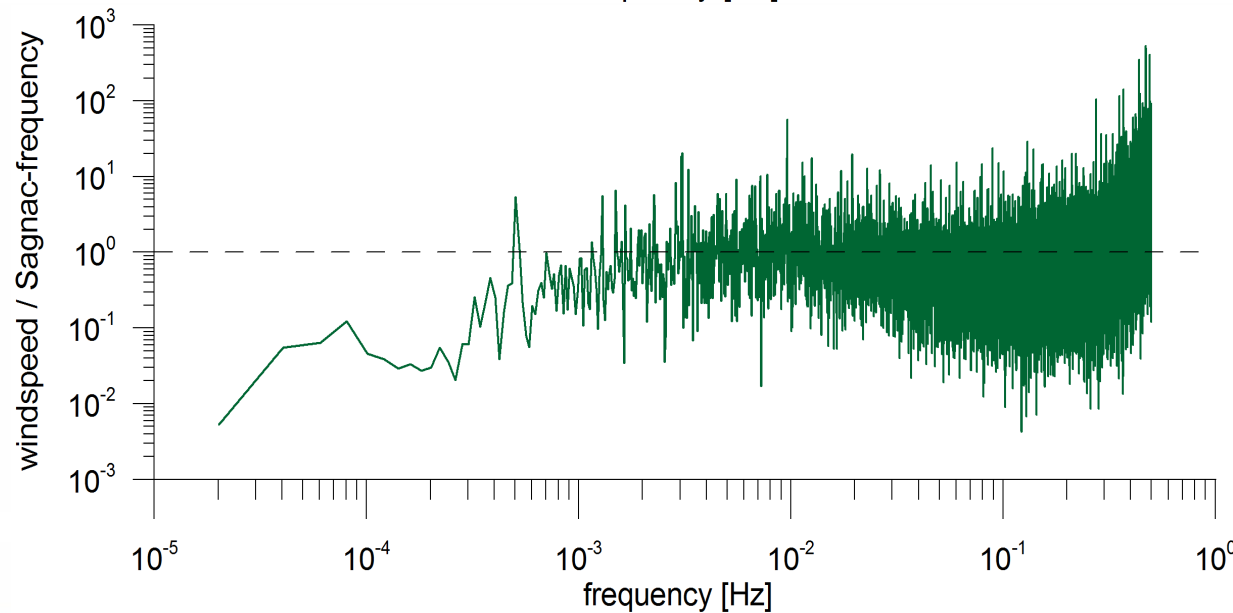
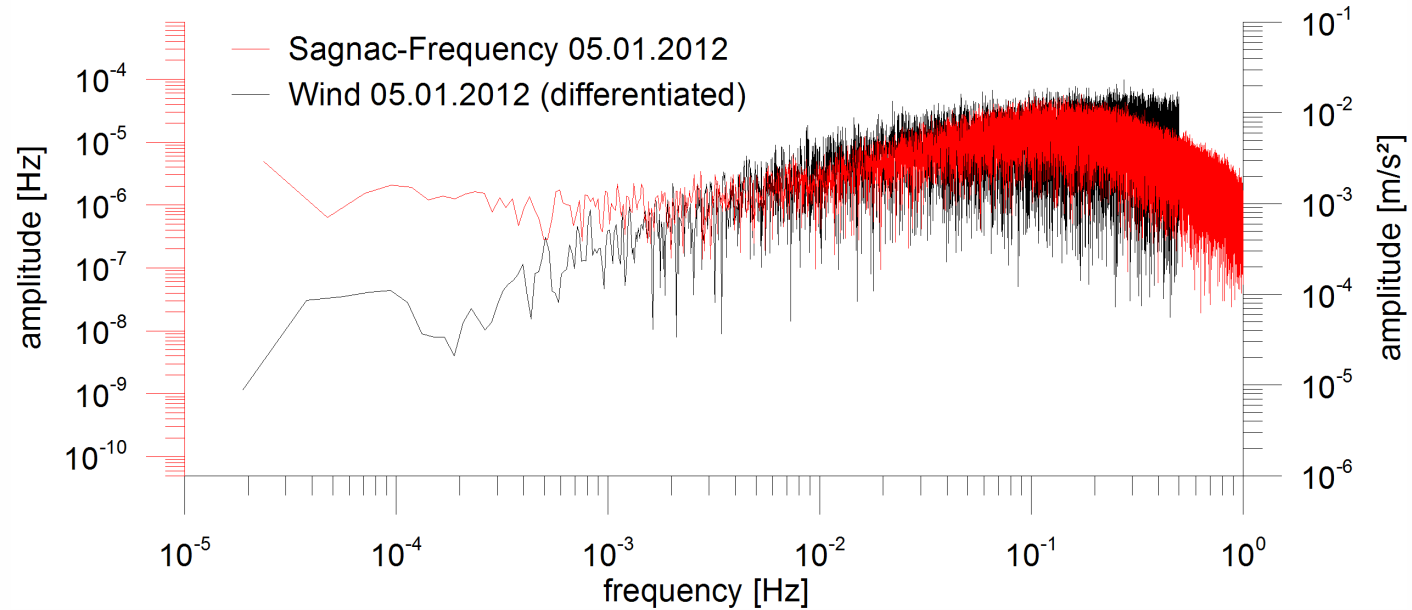
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



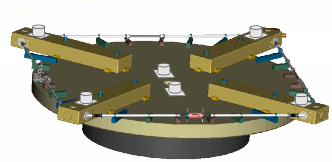
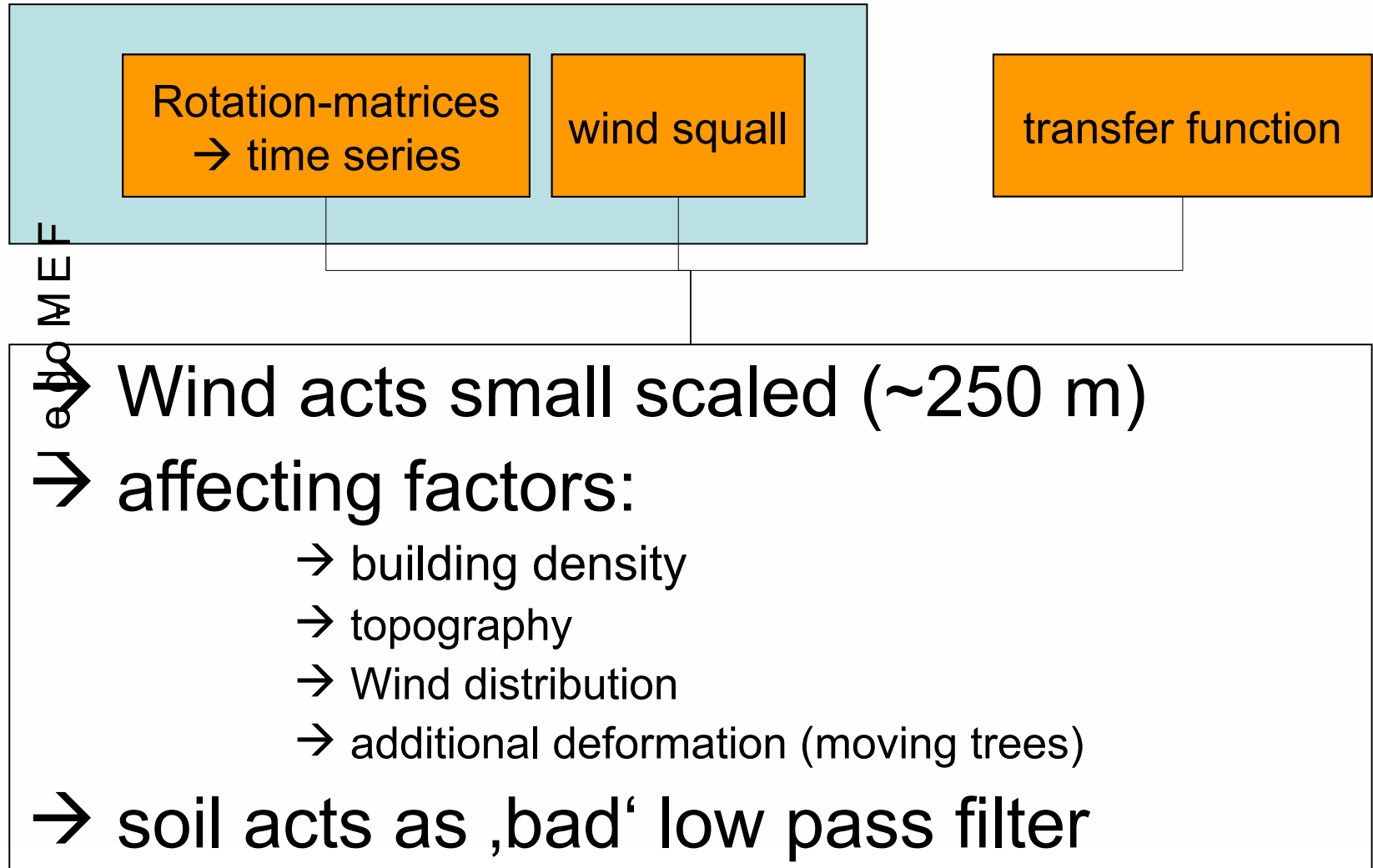


Local wind effects

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook



Local wind effects

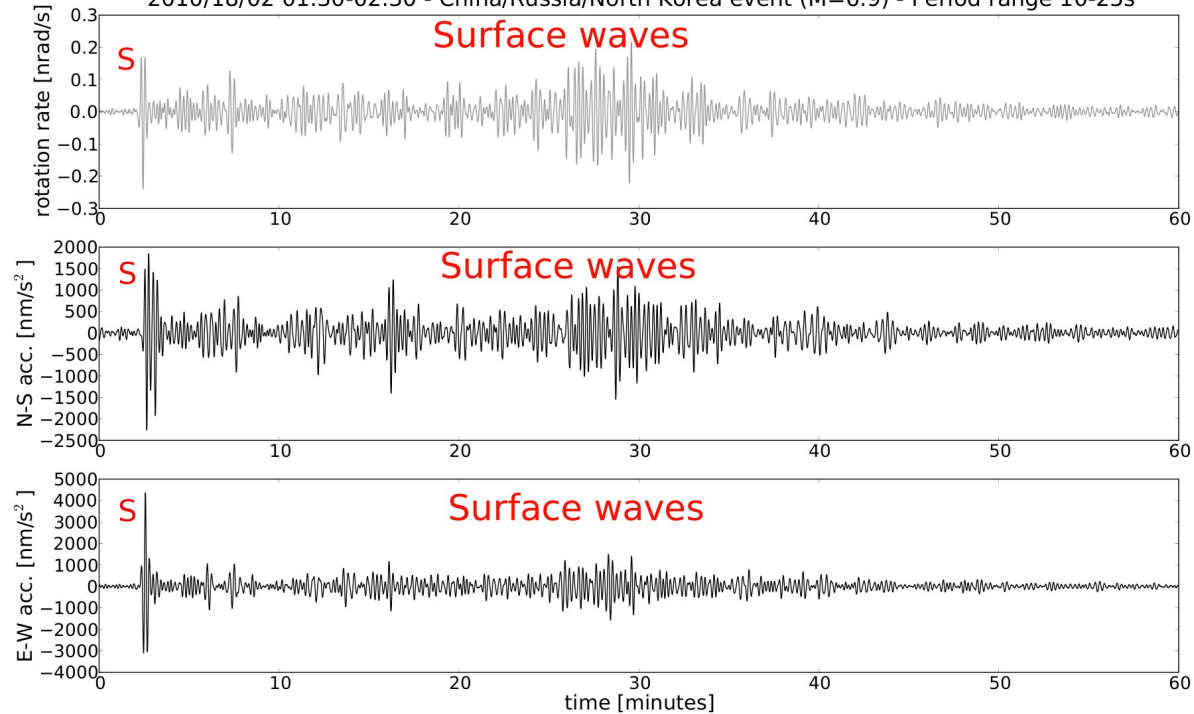


- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects**
- Seismology
- Actual Stability
- Conclusion
- Outlook

Seismology – direction estimation

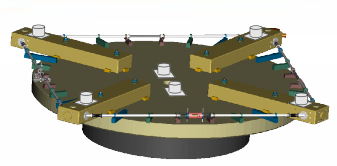


2010/18/02 01:30-02:30 - China/Russia/North Korea event (M=6.9) - Period range 10-25s



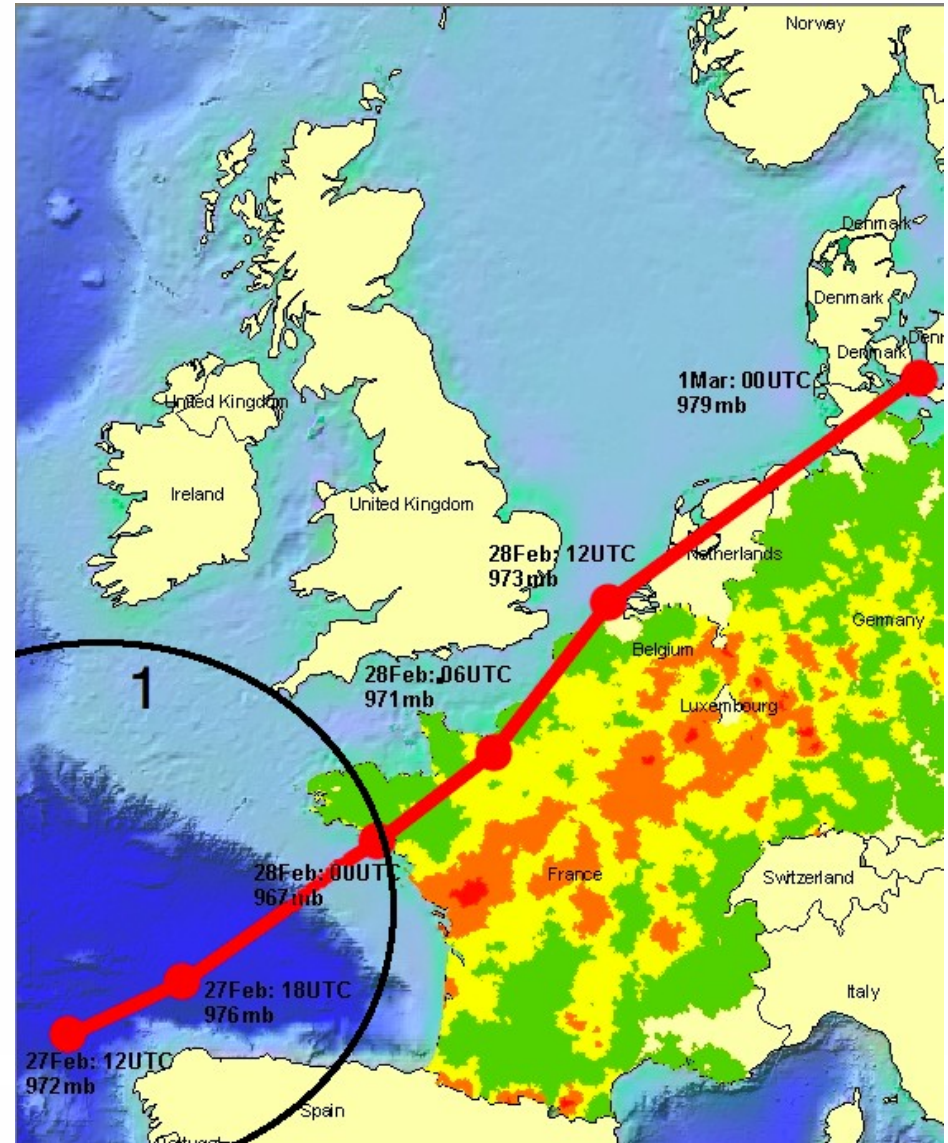
Gaebler 2010

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology**
- Actual Stability
- Conclusion
- Outlook



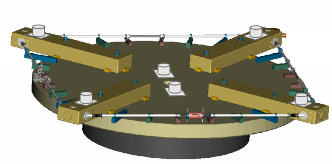
Seismology – direction estimation

→ Marine micro seismic



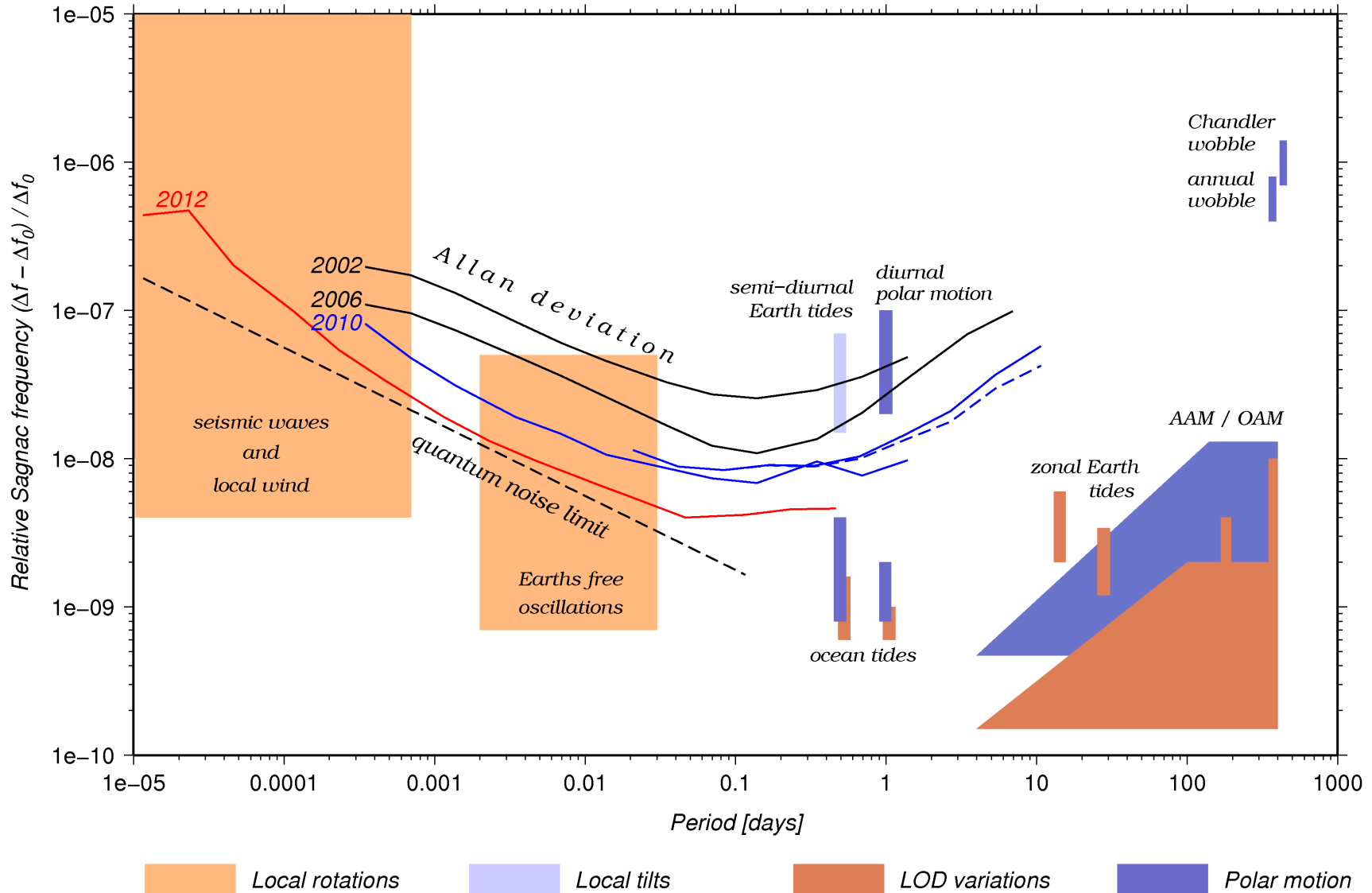
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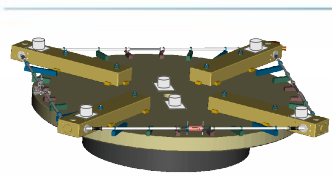
- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology**
- Actual Stability
- Conclusion
- Outlook



Actual stability

- Introduction
- Signals
- Tides
- Earth Rotation
- Sagnac Signals
- Hardware
- Data
- Stability
- Meteorological effects
- Seismology
- Actual Stability**
- Conclusion
- Outlook





Conclusion

- in principle all signals in ring laser data identified
- effects caused by wind / meteorological can be neglected

Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

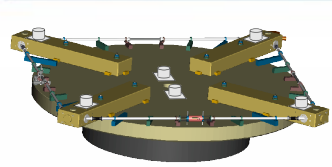
Meteorological
effects

Seismology

Actual Stability

Conclusion

Outlook



Outlook

- data analysis (models, ...)
- long term stability (instrumental effects) → frequency-comb
 - local orientation (vertical RLG)
 - mirrors
 - backscatter
 - laser
 - ...
- ‚frequency-comb‘ + ‚RGL‘ = ‚precise clock‘

Introduction

Signals

Tides

Earth Rotation

Sagnac Signals

Hardware

Data

Stability

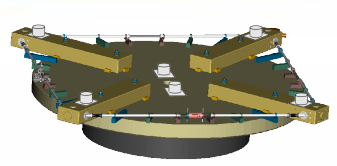
Meteorological
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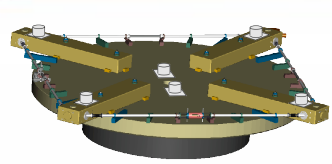
Seismology

Actual Stability

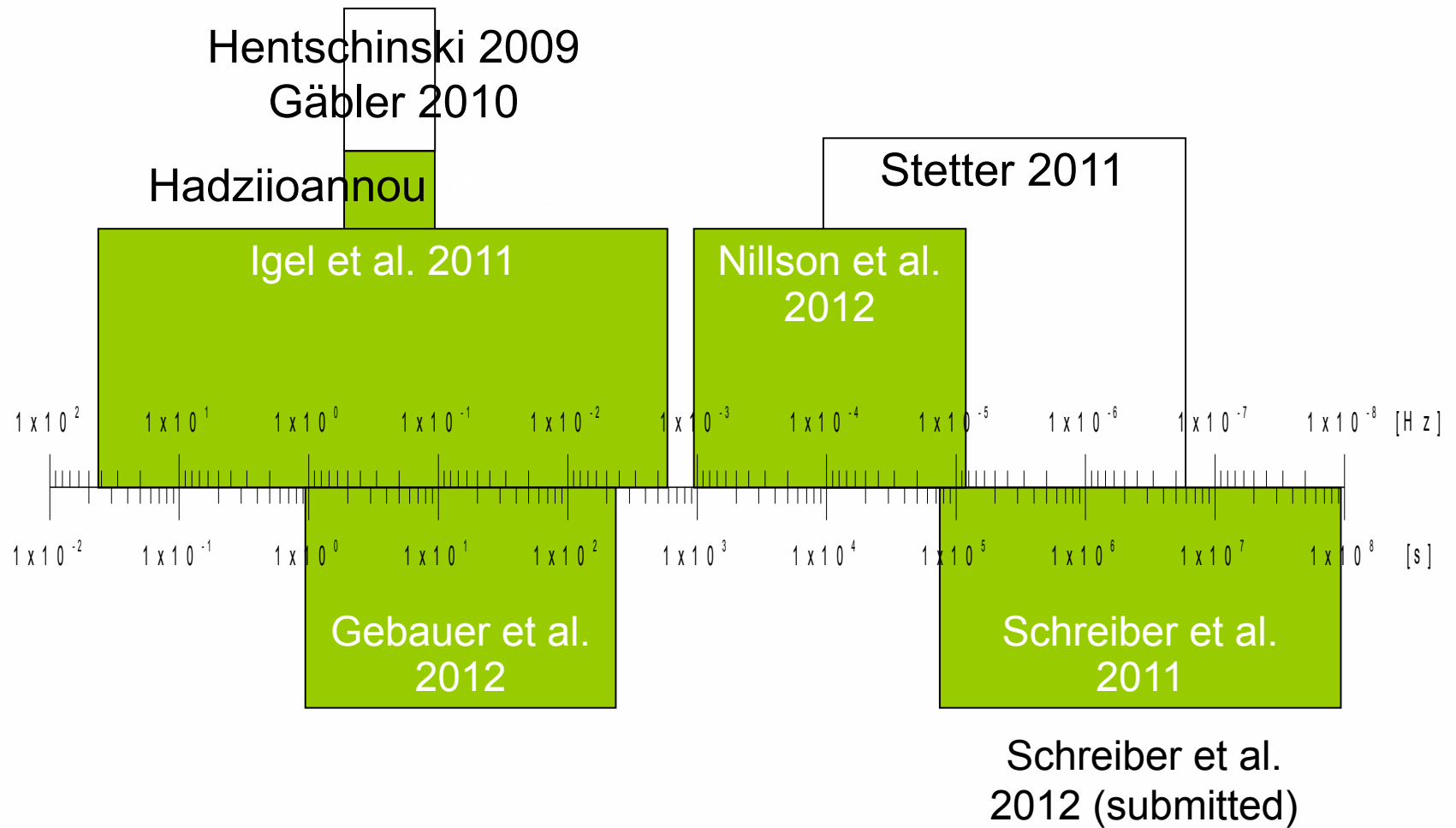
Conclusion

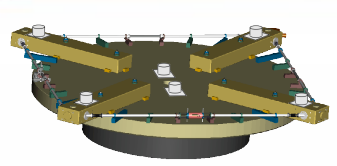
Outlook



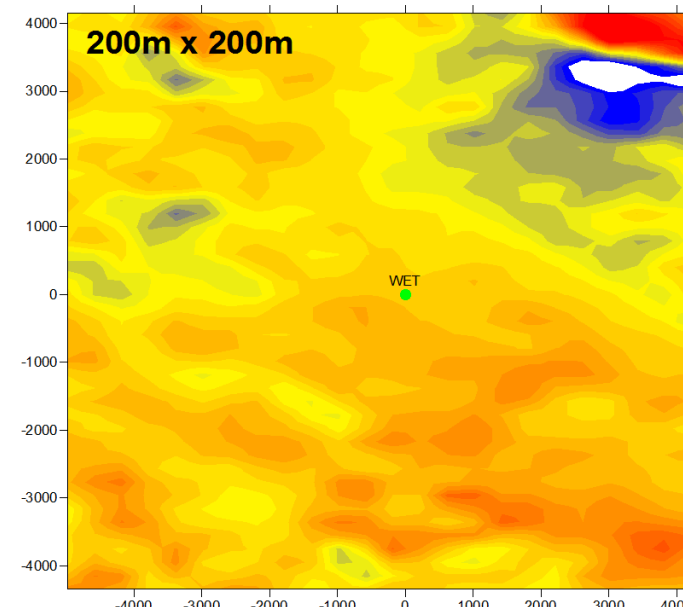
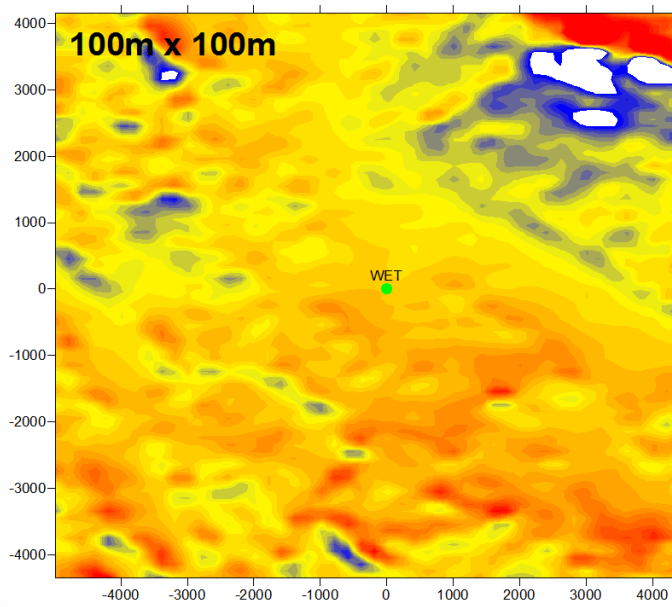
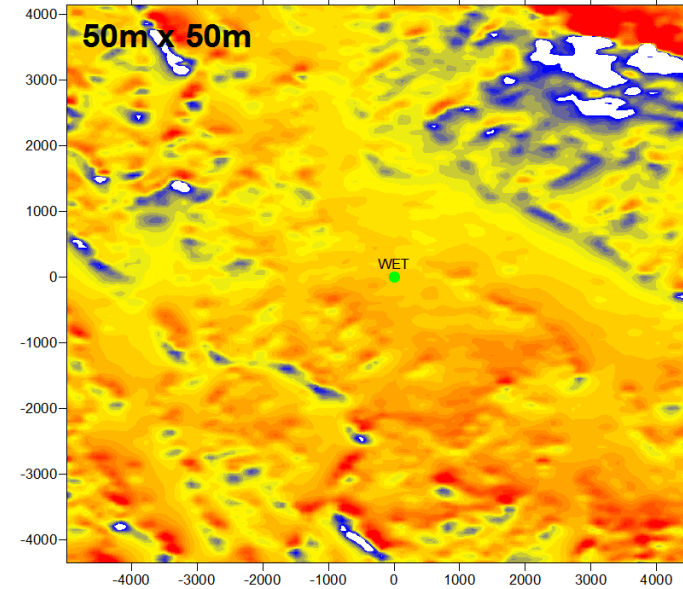
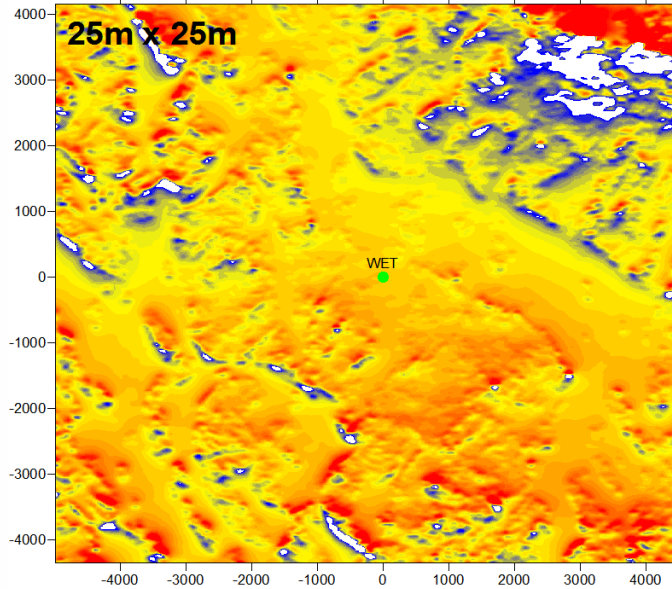


Veröffentlichungen

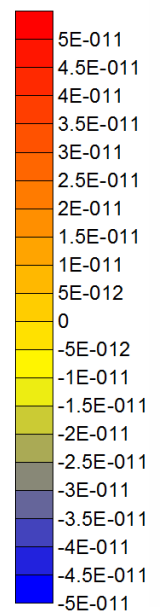




Rotation Effect



Rotation [rad]



- Introduction
- Sagnac Signal
- Instrumental Effects
- Hardware Updates
- Geophysical Signals
 - Local Tilt Effects
 - Oppolzer Terms
 - EOP
- Meteorolog. Effects
 - Regional
 - Local
- Conclusion



Regionale Investigation

FE-Model: (ANSYS)
980km x 980km x 100km
512000 Tetrahedrons
→ Barometric pressure
→ Wind

(Velikoseltsev, 2009)

Result:

→ Calculated effect some Orders of magnitude to small

Conclusion:

→ Grid spacing too rough

→ Regional effect to small

Introduction
Sagnac Signal
Instrumental Effects

Hardware Updates

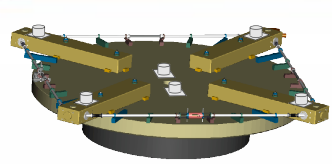
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Local Tilt Effects
Oppolzer Terms
EOP

Meteorolog. Effects

Regional

Local

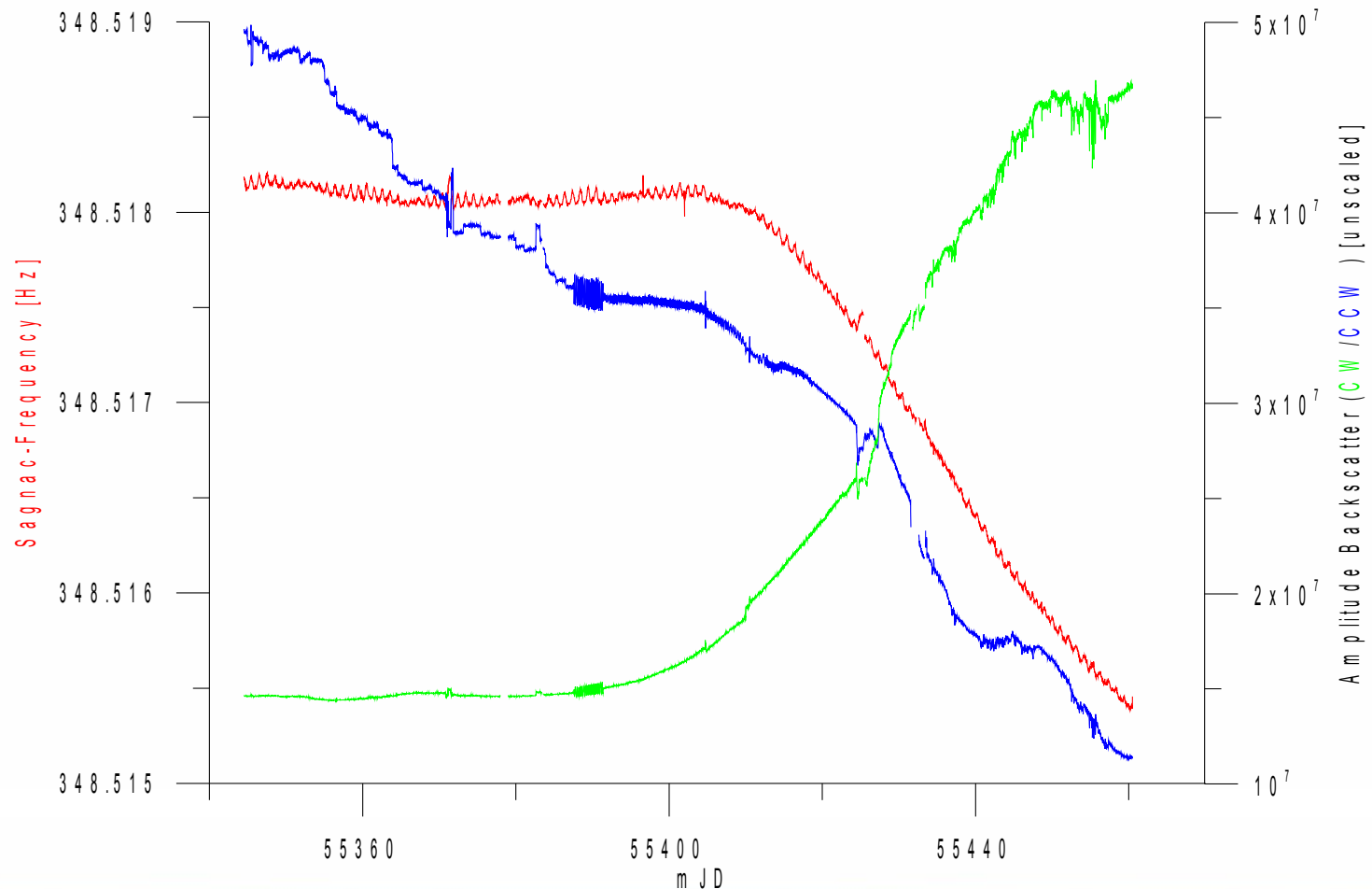
Conclusion



Backscatter

$$\Delta f = \frac{4A}{\lambda P} n \cdot \sqrt{\Omega^2 - \omega_L^2}$$

$$\omega_L = \frac{c\lambda^2 \sqrt{r}}{32\pi A d}$$



- Introduction
- Hardware Updates
- Sagnac Signal
- Polar Motion
- Chandler Wobble
- Stability
- Backscatter**
- Long term Effects
- Meteorolog. Effects
- Model
- Load
- Ratations
- Wind Effects
- Conclusion