

new DCH dE/dx measurement simulation in fastsim and comparison with Babar

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dE/dx simulation in FastSim

- $\langle dE/dx \rangle_{hit}$ is computed with the **Bethe Bloch function** and then smeared according to $\sigma(\langle dE/dx \rangle_{hit})$
 (Gaussian smearing) built-in in FastSim

- $\sigma(\langle dE/dx \rangle_{hit})$ is parameterized as

$$\sigma\left(\frac{dE}{dx}\right) = \alpha \left(\frac{dE}{dx}\right)^\beta dx^\gamma$$

where α, β, γ parameters are chosen as:

$\alpha =$ tuned on Babar data

$\beta = 1$

$\gamma =$ tuned on Babar data

step 1:determine γ

tuned according to fit in backup slide

step 2:determine α

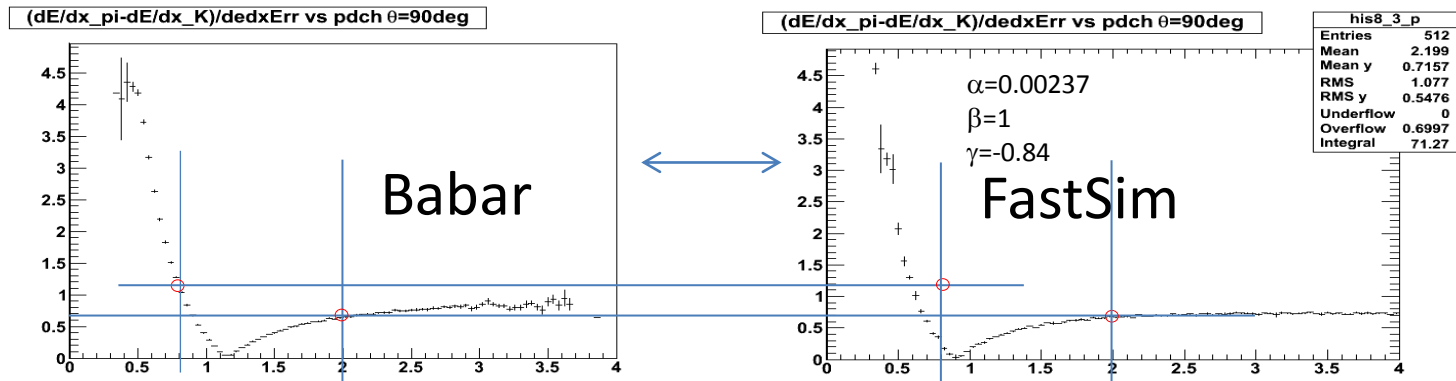
tuned according to Babar K/pi separation

- $\langle dE/dx \rangle_{track}$ is measured as a 'random' truncated average of $\langle dE/dx \rangle_{hits}$

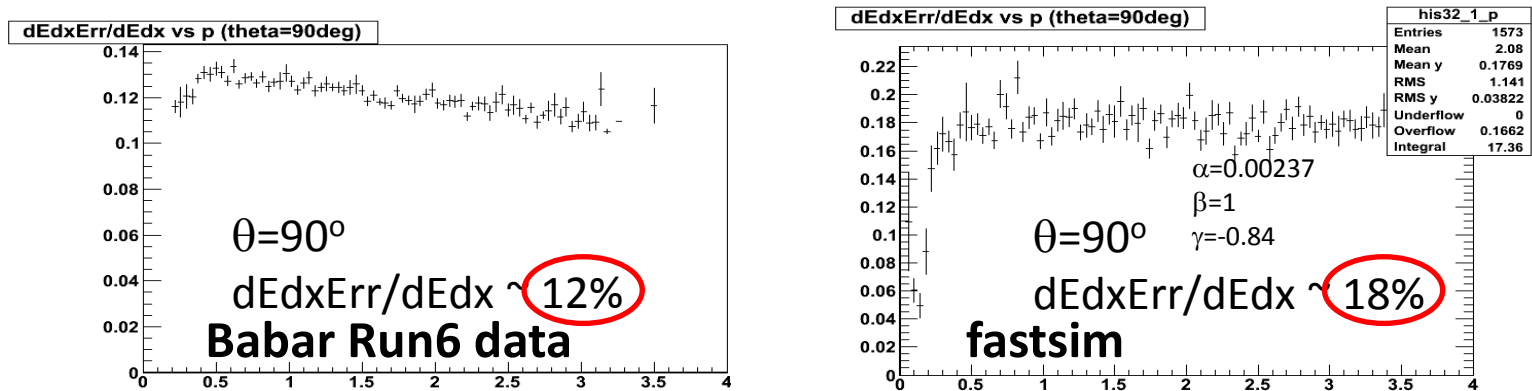
If the trunc_frac =70% then 30% of $\langle dE/dx \rangle_{hits}$ are removed randomly. $\langle dE/dx \rangle_{track}$ is the weighted mean of the remaining 70%. $\sigma^2 \langle dE/dx \rangle_{track}$ is computed as the variance of the weighted average.

It is currently assumed that the DCH dE/dx performance in SuperB and Babar are similar. But impossible to find a set of α, β, γ such that the agreement between Babar and Fastsim is generally good. For example, requiring equal K/ π separation at $p=2\text{GeV}$ ($\theta=90\text{deg}$) implies:

A) the separations at other p values do not match:

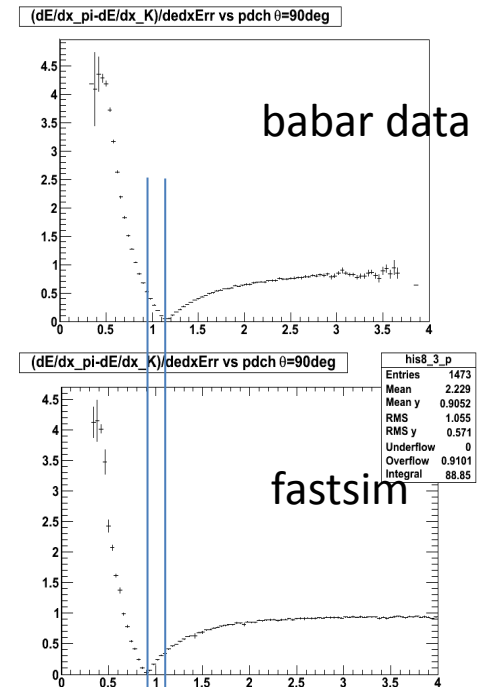


B) the relative dE/dx errors are significantly different:



π/K separation vs fastsim

- the main source of discrepancy is the different position of no-separation points
- but it's not the only one
 - i.e., translating the fastsim Bethe-Bloch to match the point of no K/π separation is not sufficient to reach a very good agreement

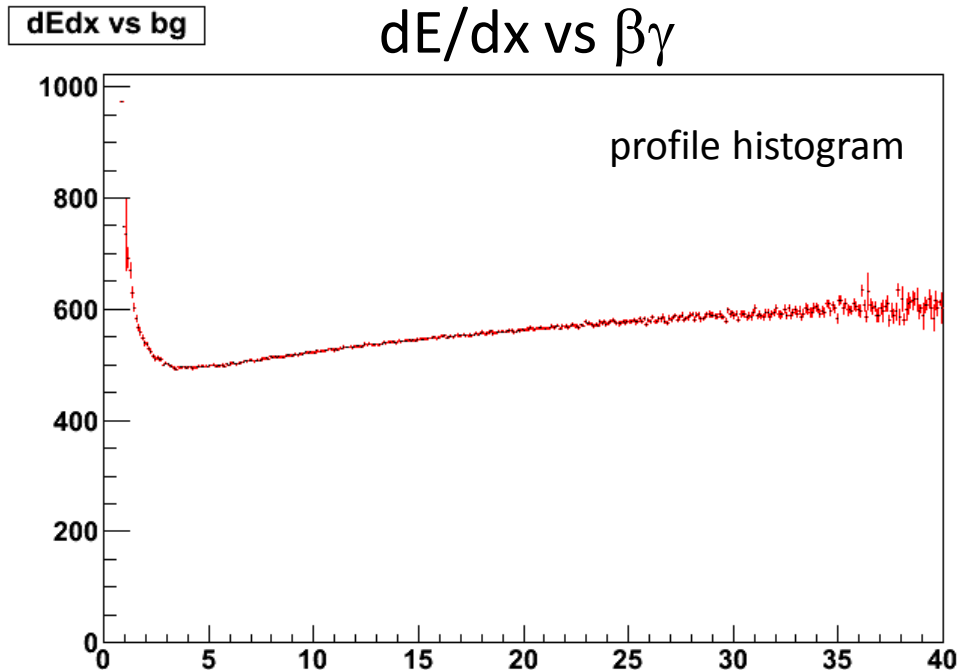


New strategy:

replace the built-in FastSim Bethe-Bloch with a function fitted on Babar data

measured dE/dx vs $\beta\gamma$ at Babar

Babar Run6 data, pion sample



Fit the distribution with:

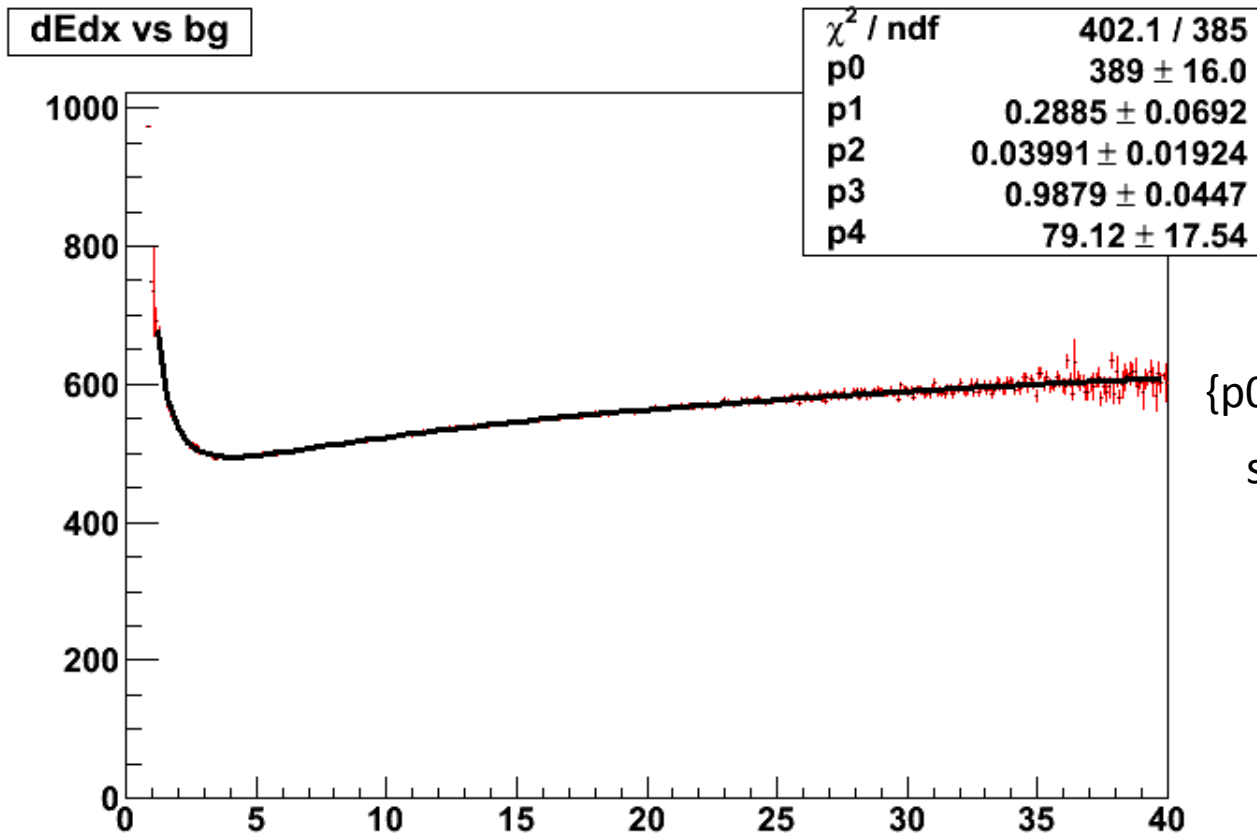
$$dE/dx_{\text{expected}} = A \times (1 + Bx + Cx^2) \times (1 + E^{-x})^D \text{ for } 0 < x < 2,$$

$$dE/dx_{\text{expected}} = A \times (1 + Bx) \times (1 + E^{-x})^D \text{ for } x < 0.$$

$$x = \log_{10}(\beta\gamma)$$

parametrization from
Babar BAD1500

the fit is pretty good



$\{p_0, \dots, p_4\} = \{A, \dots, E\}$
see prev. slide

Use this function to describe the mean value of the dE/dx measurement vs $\beta\gamma$ in fastsim

Strategy

- Use the function in previous slide to describe $\langle dE/dx \rangle_{\text{hit}}$ vs $\beta\gamma$ in fastsim, instead of the built-in Bethe Bloch function
- The parameterization of the dE/dx measurement error remains the same

$$\sigma\left(\frac{dE}{dx}\right) = \alpha\left(\frac{dE}{dx}\right)^\beta dx^\gamma$$

- Tune α , β , γ to match the DCH dE/dx performance in Babar run6 data
- Performance of new fastsim model in next slides refer to

$$\alpha=0.00117$$

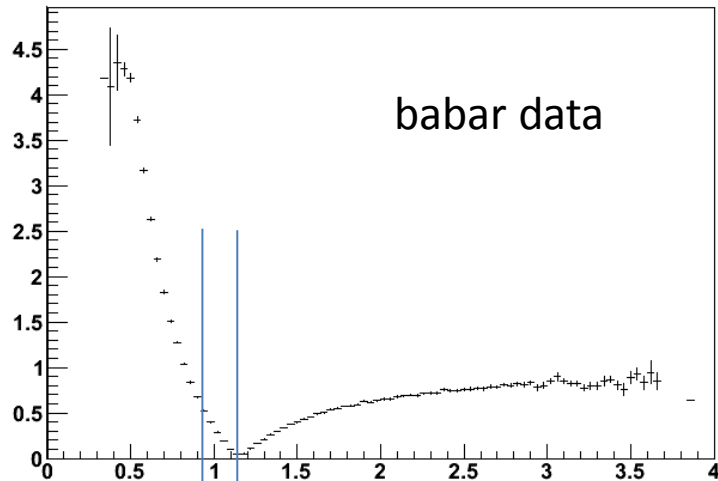
$$\beta=1$$

$$\gamma=-0.58$$

(quick tuning of parameters, room for further fine tuning)

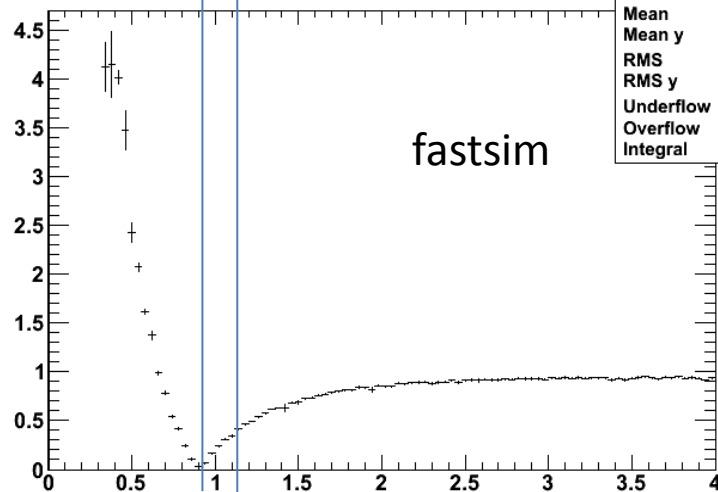
pi/K separation vs p - Babar vs fastsim

(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



The point of zero K/pi separation is at $p=1.15$ GeV in Babar and at $p=0.90$ GeV in fastsim.

(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$

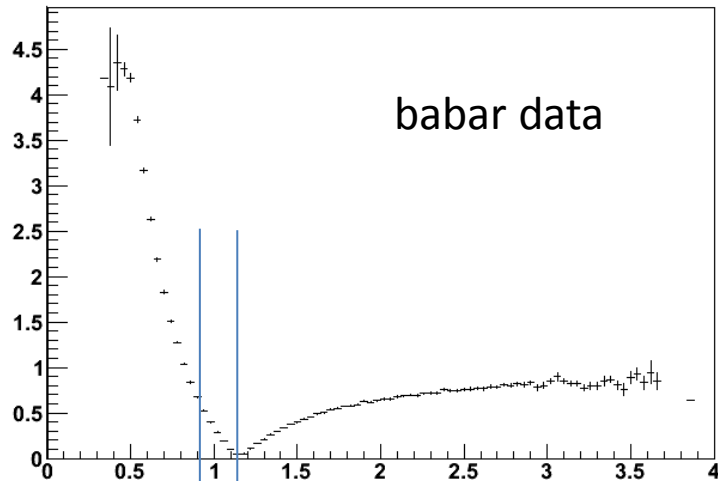


| his8_3_p | |
|-----------|--------|
| Entries | 1473 |
| Mean | 2.229 |
| Mean y | 0.9052 |
| RMS | 1.055 |
| RMS y | 0.571 |
| Underflow | 0 |
| Overflow | 0.9101 |
| Integral | 88.85 |

Before

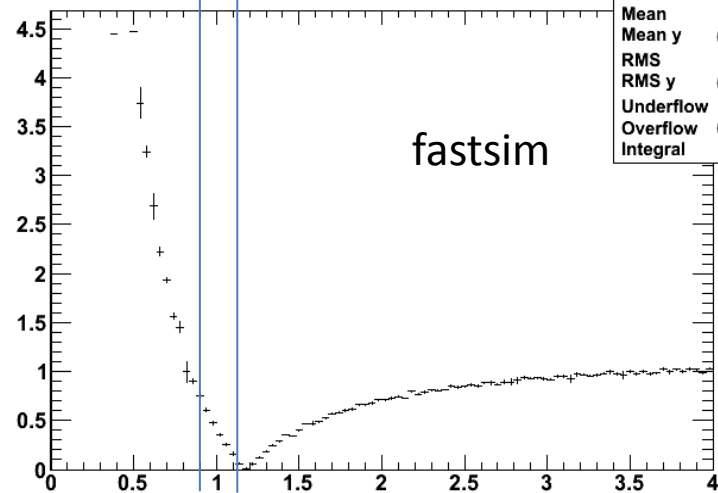
pi/K separation vs p - Babar vs fastsim

(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



The point of zero K/pi separation is at $p=1.15$ GeV both in Babar and in fastsim

(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



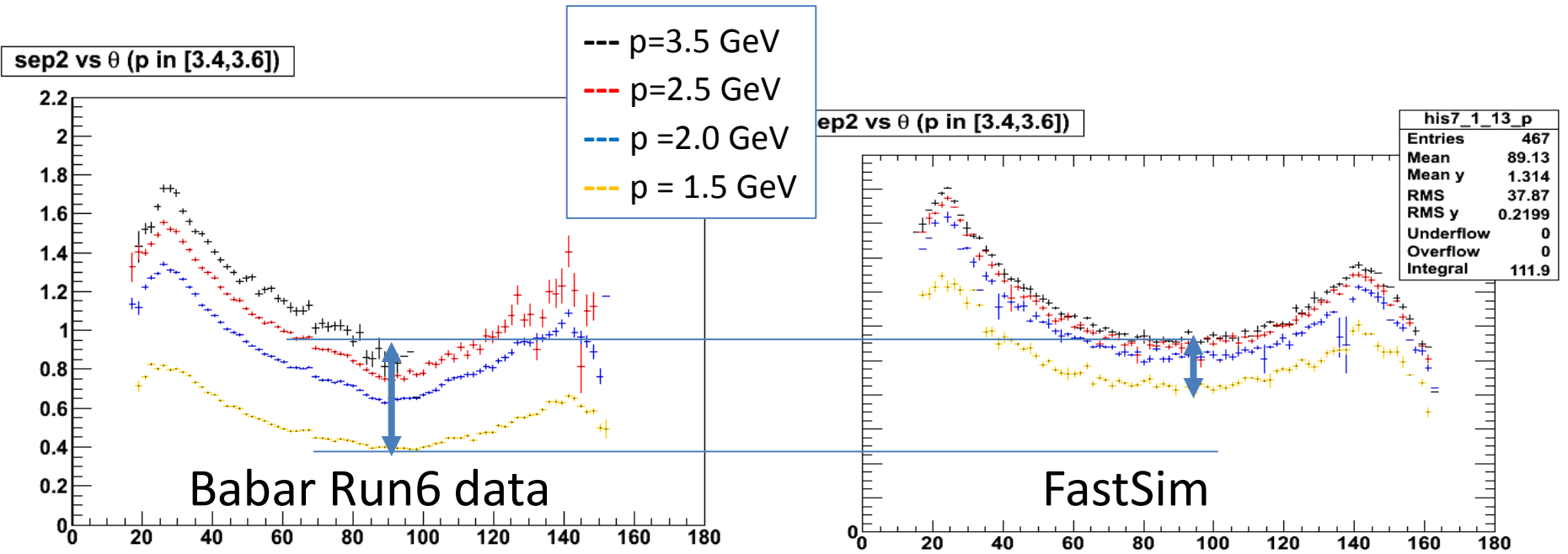
| his8_3_p | |
|-----------|--------|
| Entries | 496 |
| Mean | 2.256 |
| Mean y | 0.8989 |
| RMS | 1.045 |
| RMS y | 0.6177 |
| Underflow | 0 |
| Overflow | 0.9806 |
| Integral | 84.96 |

After

pi/K separation vs polar angle

Babar vs fastsim

$$\text{separation} = |\text{dEdx_expected}(\text{pion}) - \text{dEdx_expected}(\text{kaon})| / \text{dEdx_error}$$



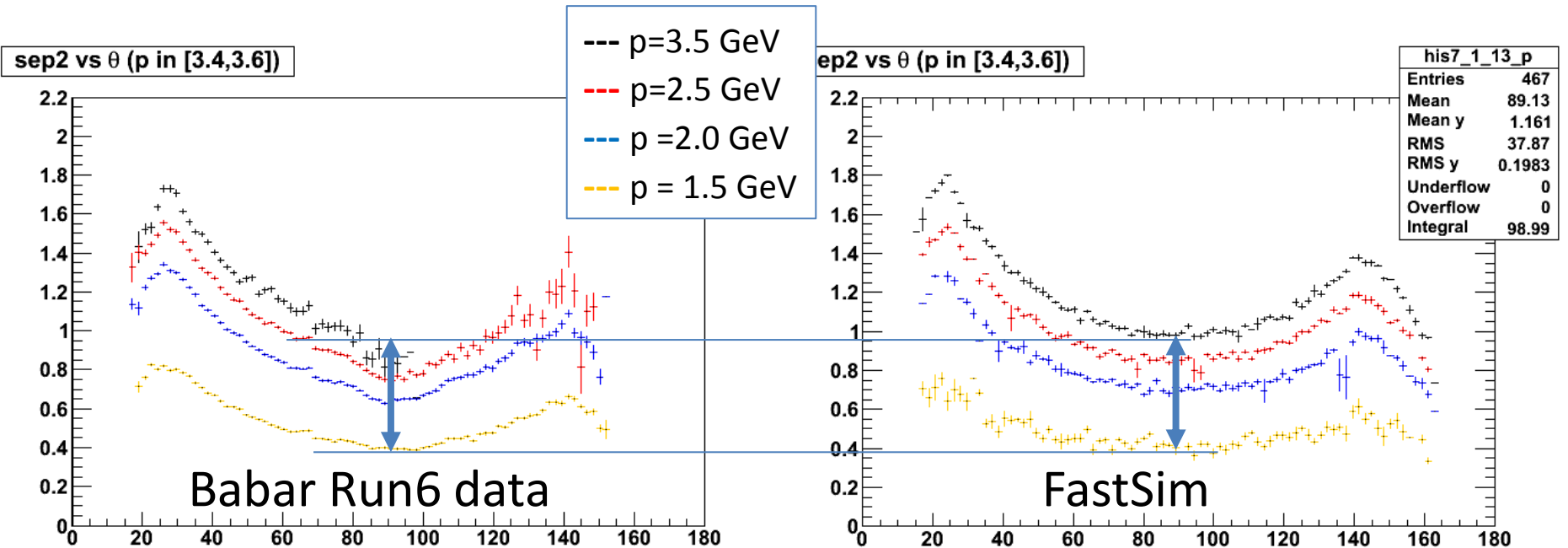
Before

tuning Babar-fastsim at a specific p value does not imply a good tuning at different p values

pi/K separation vs polar angle

Babar vs fastsim

$$\text{separation} = |\text{dEdx_expected}(\text{pion}) - \text{dEdx_expected}(\text{kaon})| / \text{dEdx_error}$$

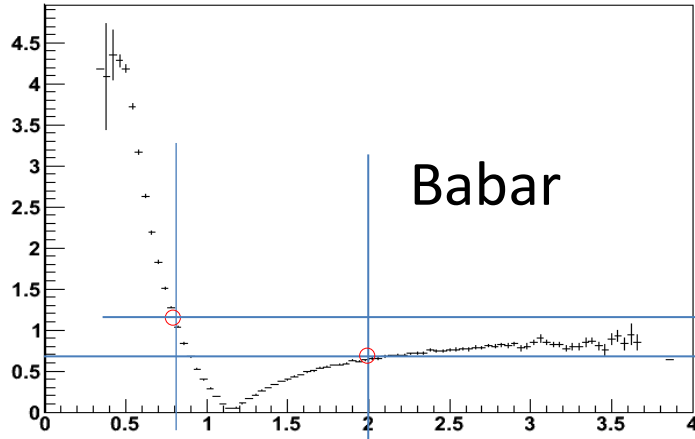


After

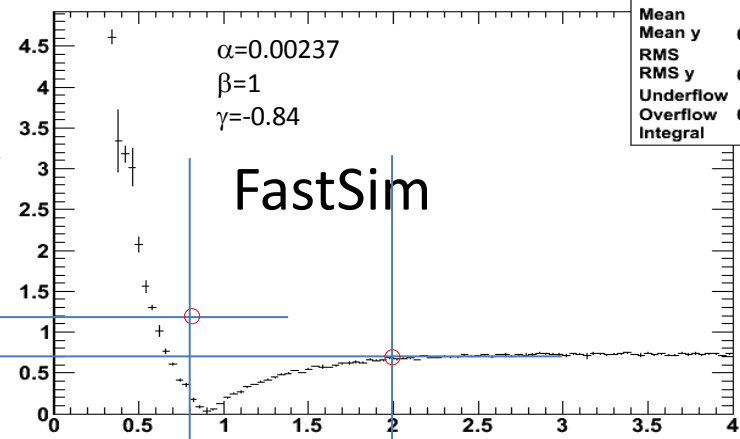
the level of agreement is much more uniform throughout the p range

pi/K separation vs p - Babar vs fastsim

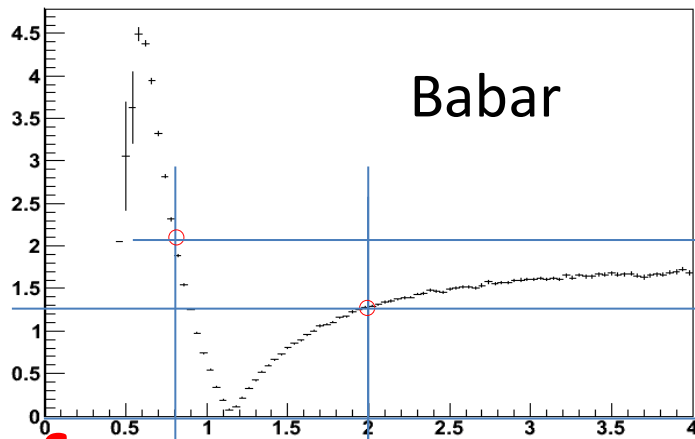
(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



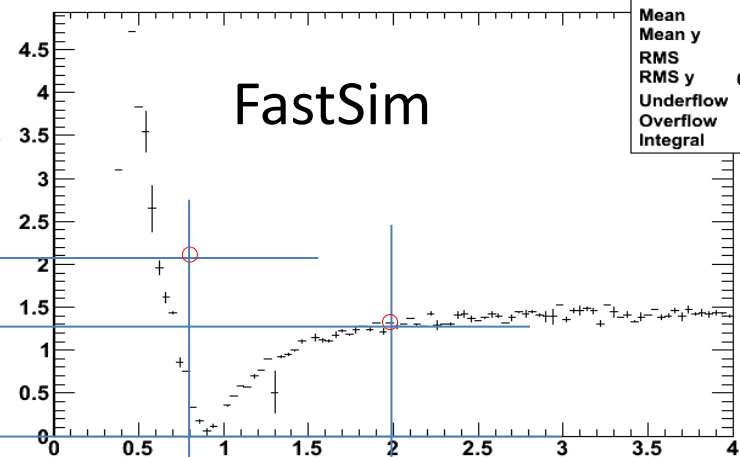
(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=30\text{deg}$



(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=30\text{deg}$

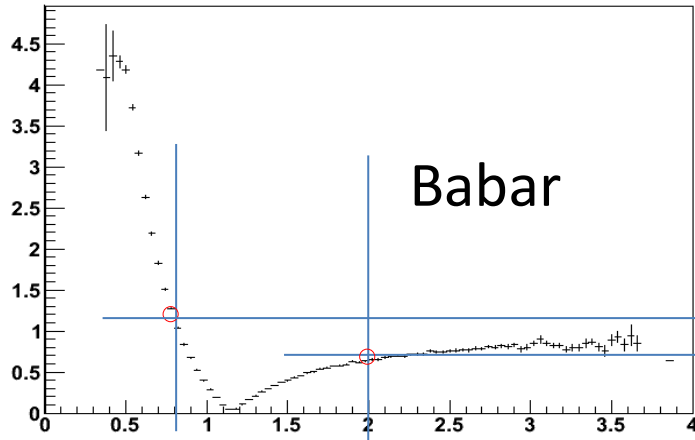


Before

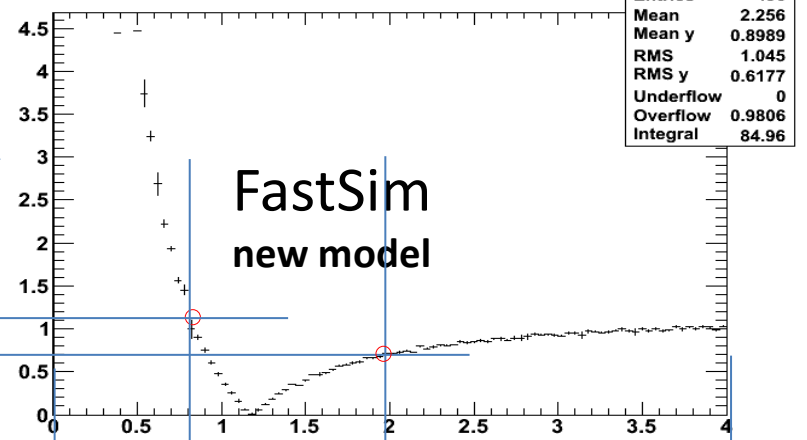
K/pi separation agreement not good in all momentum range

pi/K separation vs p - Babar vs fastsim

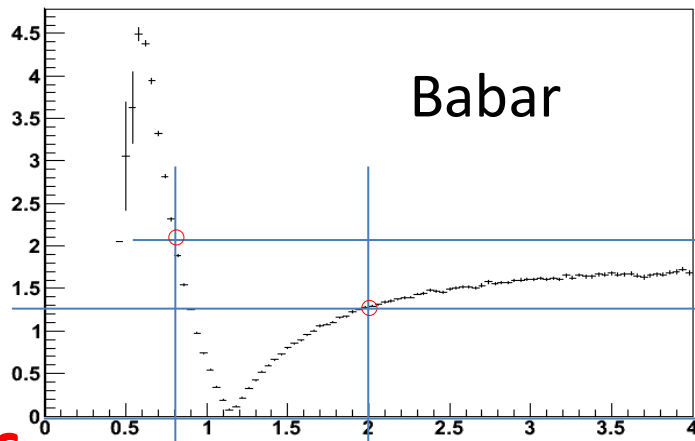
(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



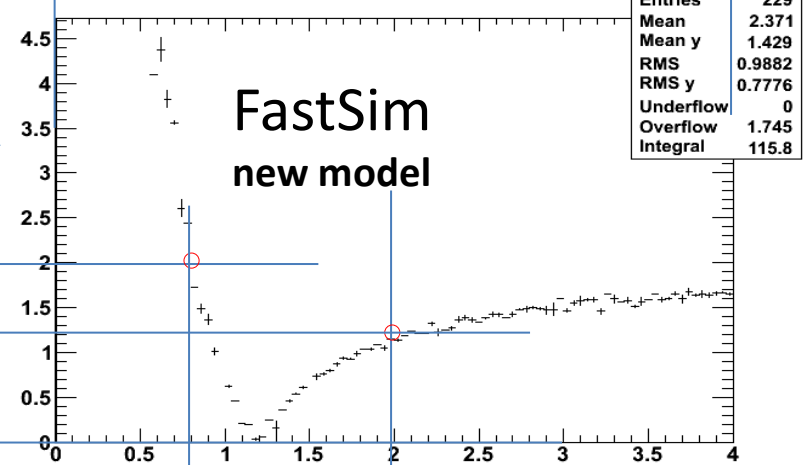
(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=90\text{deg}$



(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=30\text{deg}$



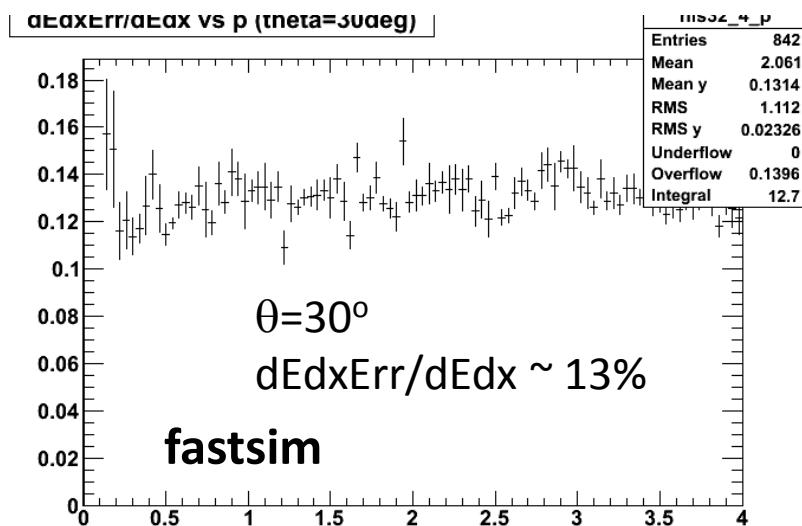
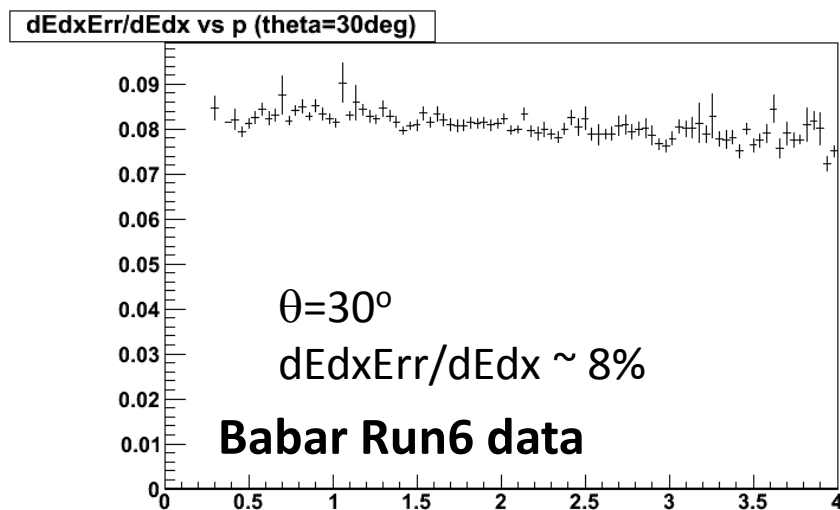
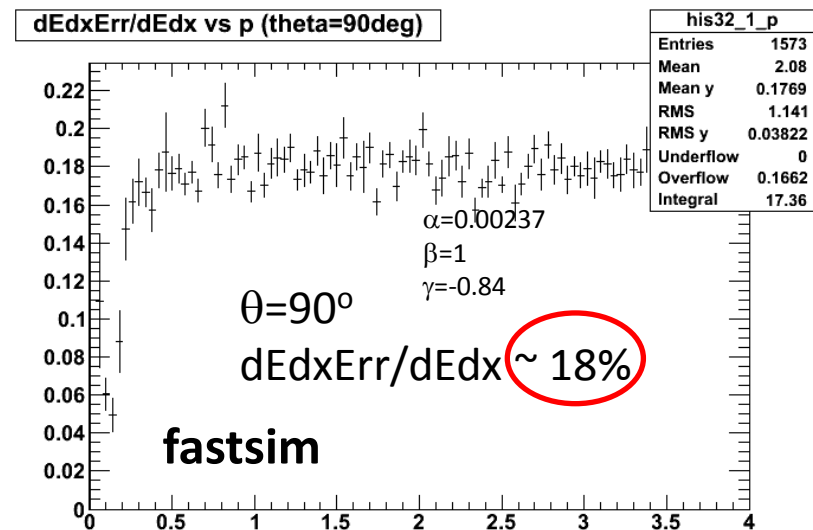
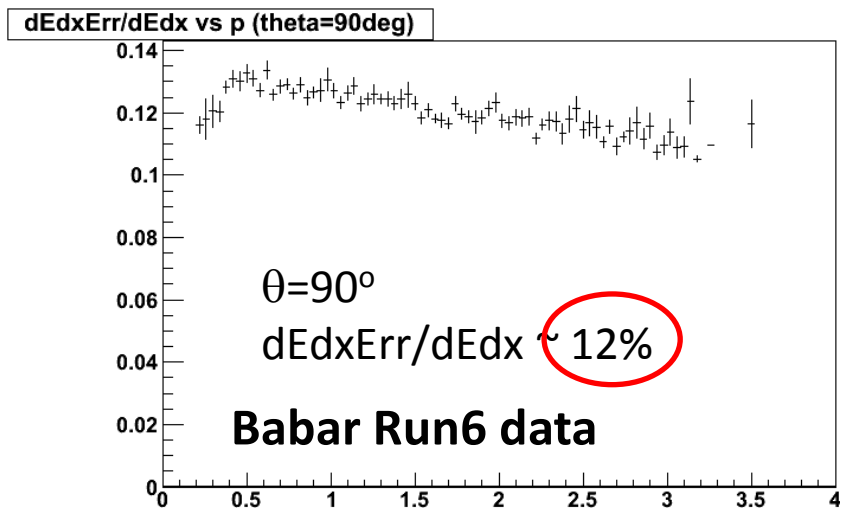
(dE/dx_pi-dE/dx_K)/dedxErr vs pdch $\theta=30\text{deg}$



After

K/pi separation agreement ~~not~~ good in all momentum range

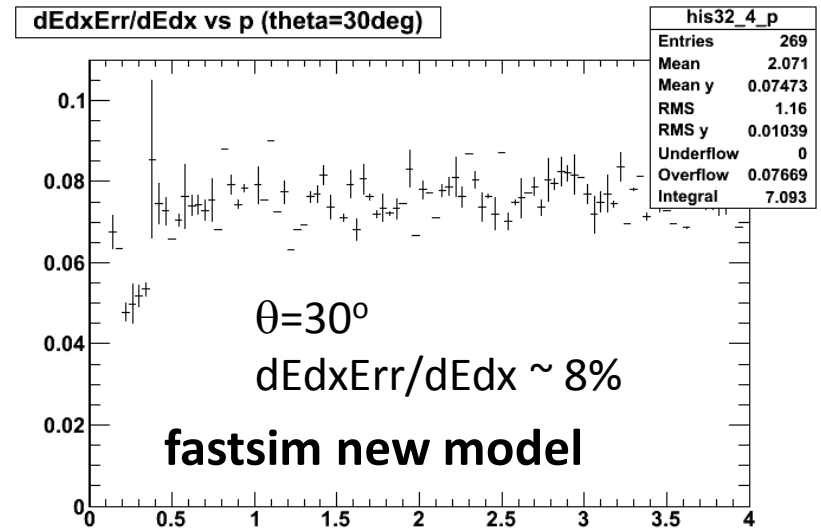
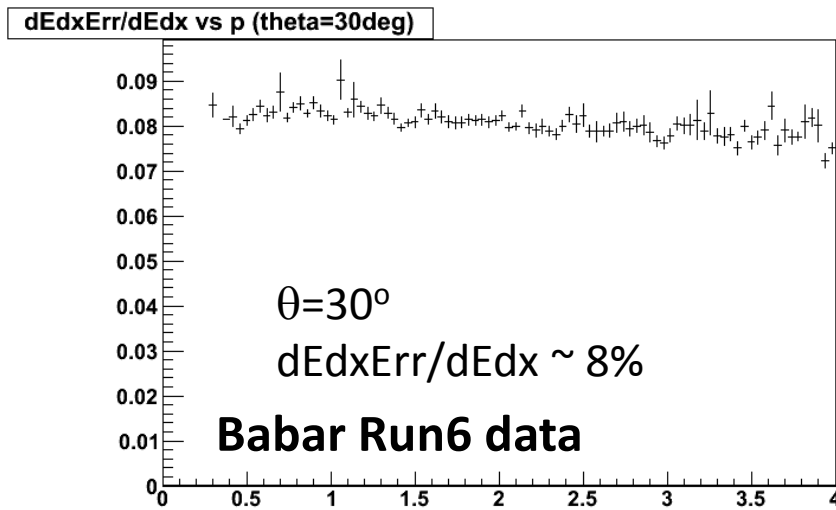
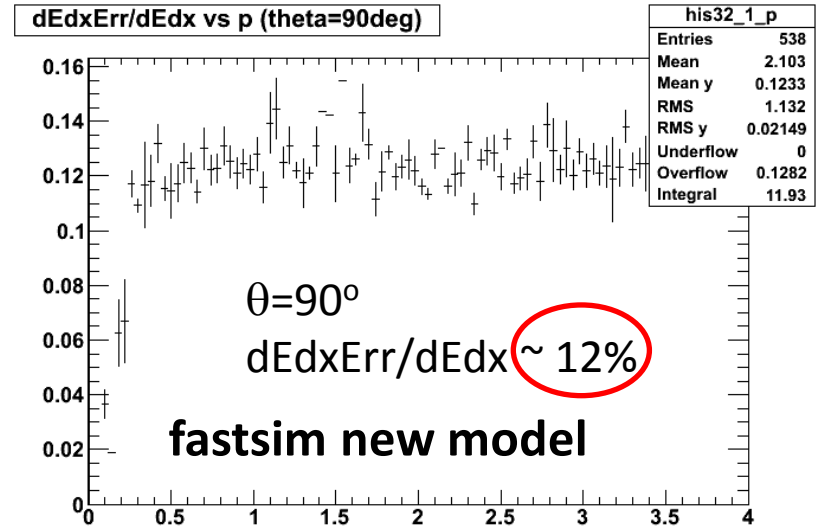
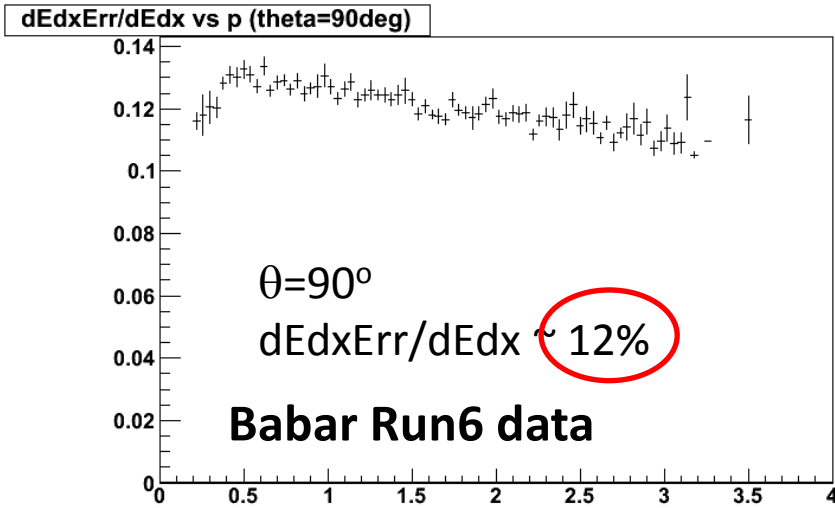
dE/dx resolution – Babar vs fastsim



Before

not possible to tune the K/pi separation and dE/dx resolution at the same time

dE/dx resolution – Babar vs fastsim



After

~~not~~ possible to tune the K/pi separation and dE/dx resolution at the same time

Proposal

- Describe the mean value of the measured DCH $\langle dE/dx \rangle_{\text{hit}}$ in fastsim using the function that fits dE/dx vs $\beta\gamma$ in Babar data (see sl. 4)

- The parameterization of the dE/dx measurement error remains the same

$$\sigma\left(\frac{dE}{dx}\right) = \alpha\left(\frac{dE}{dx}\right)^\beta dx^\gamma$$

- The algorithm to reconstruct the dE/dx measurement of the *track* remains the same ('random' truncation, see backup slide)
- Tune α , β , γ to match the DCH dE/dx performance in Babar
 - a reasonable set of parameters based on Babar Run6 tuning is
 - $\alpha=0.00117$
 - $\beta=1$
 - $\gamma=-0.58$
- The agreement between fastsim and Babar with the new model is quite satisfactory

Proposal

two-fold advantage

- performance can be tuned to be very similar to Babar performance
- 'random truncation' feature is kept → use of DCH dE/dx in PID selectors requires minimum amount of work

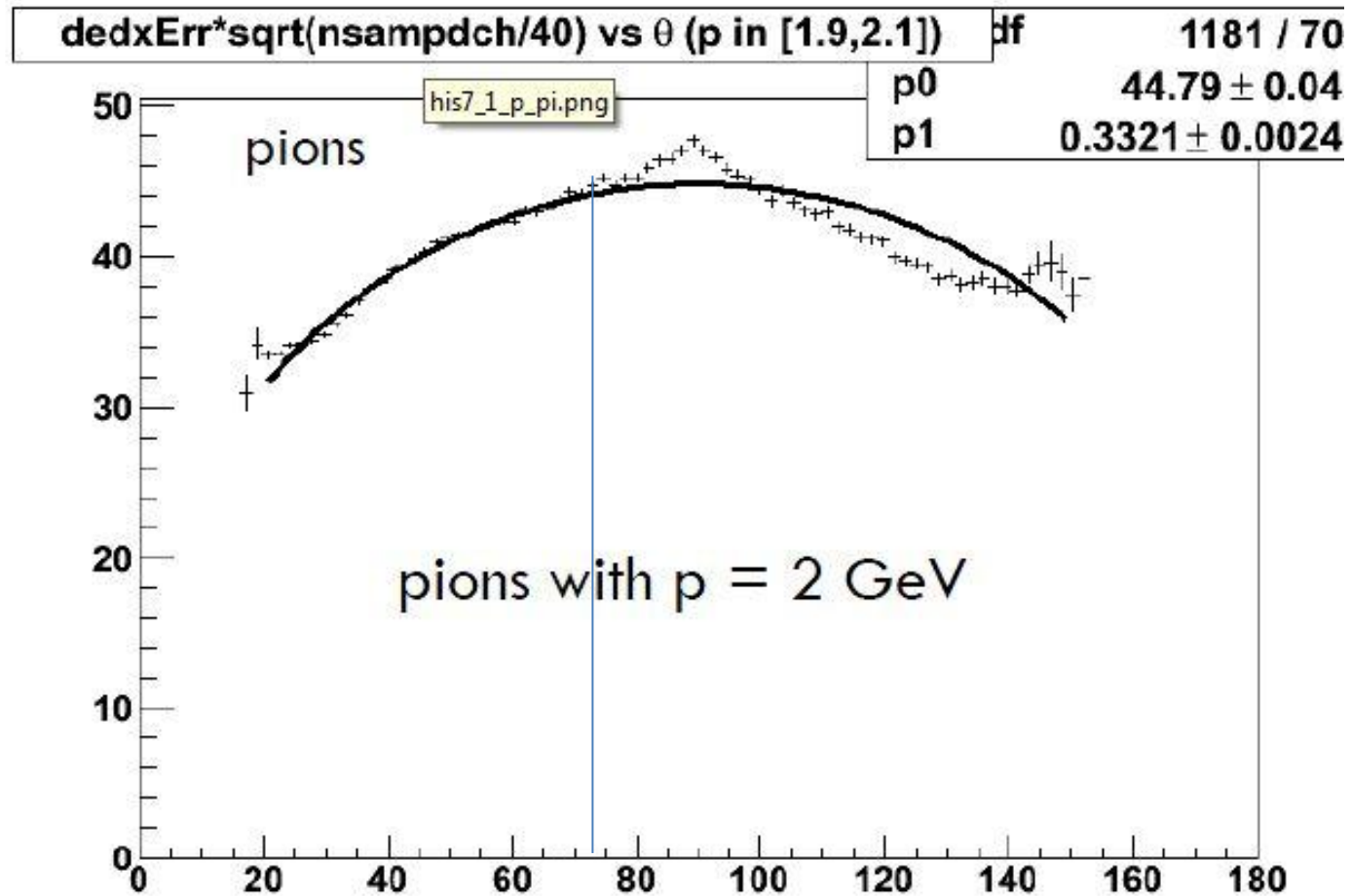
Code

- Code with new $\langle dE/dx \rangle$ function available in SVN (trunk of PacTrk, rev \geq 2941)
 - V0.3.1 + developers' patch (instructions in FastSim User Guide)
- $\langle dE/dx \rangle$ function parameters hard-coded at the moment
 - Eventually they could be set through the xml interface

It will be the default in FastSim V0.3.2 (currently planned release date: week of June 18)

backup

Babar data: modelization of dE/dx error vs polar angle



dEdx_error*sqrt(nsampDch) vs polar angle for 2GeV pions.

The function fits well the distribution between $\theta=30$ and 70 . At $\theta=90$ the fit function underestimates the error. Note the asymmetry between fwd and bwd directions