



Insight on GRB physics from a novel data driven method for systematic analysis of X-ray light-curves

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02 July 2025,

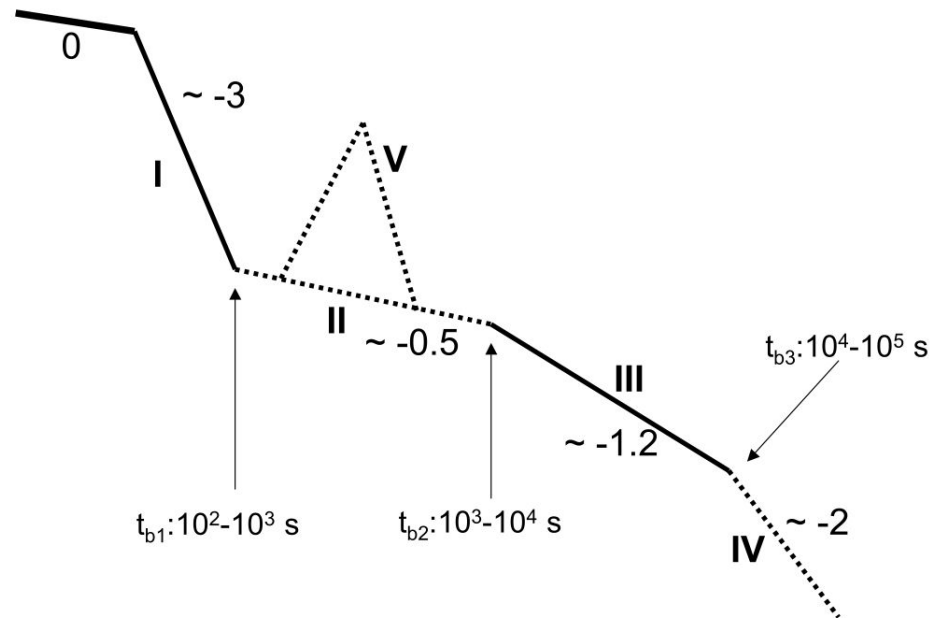
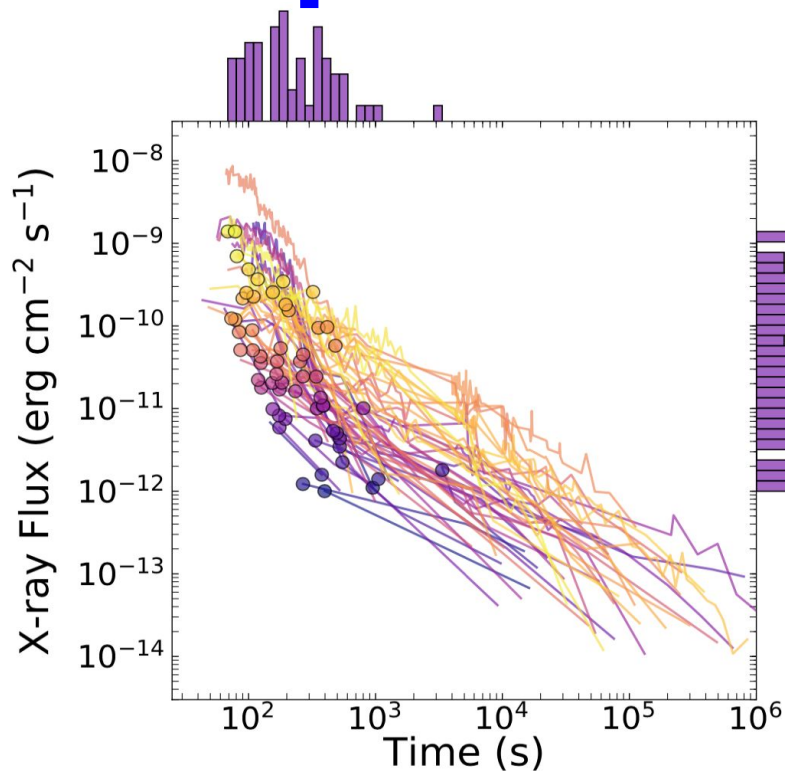
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³University of Zagreb, Zagreb, Croatia

GRB x-ray afterglows: many shapes and behaviors



1. Beniamini et al., MNRAS 2024, DOI: 10.1093/mnras/stae1941
2. Zhang et al., ApJ 2006, DOI: 10.1086/500723

Limits of current analysis:

1. Limited samples of events (generally up to 60-80 events)
2. Strong (and varied) model dependence, both for flare identification and for the afterglow general behaviour

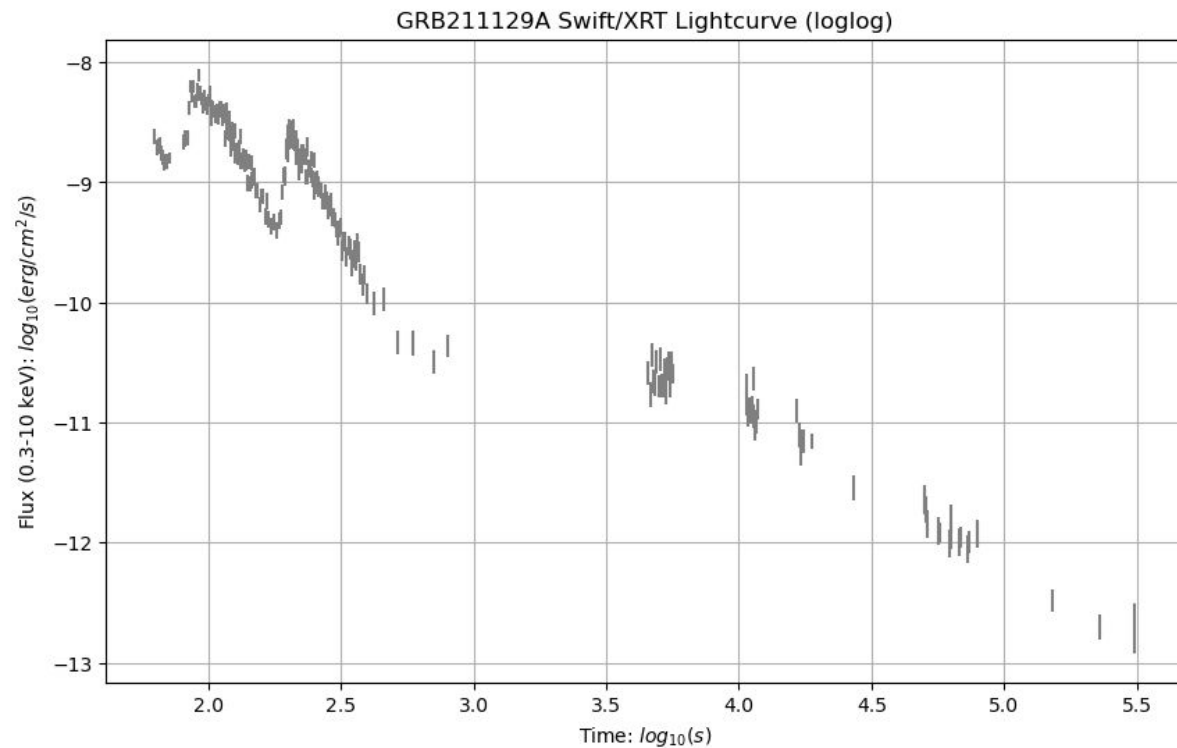


Results are difficult to generalize and remain limited by statistics

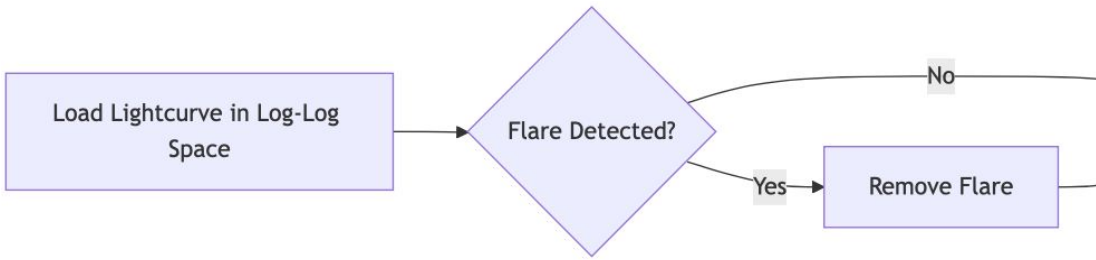
Aim of the new pipeline:

1. **Model-independent flare detection** and removal
2. Fits light curves with multiple **power-law segments**
3. **Flexible model selection**: supports BIC, AICc, BICc, and EvBIC for selecting the best model
4. Batch processing and **catalog analysis**: supports automated fitting of multiple light curves in parallel

Load Lightcurve in Log-Log
Space

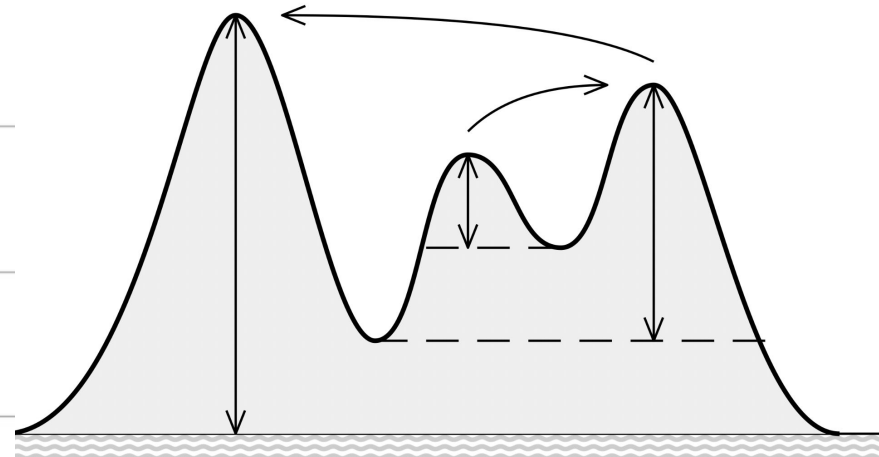
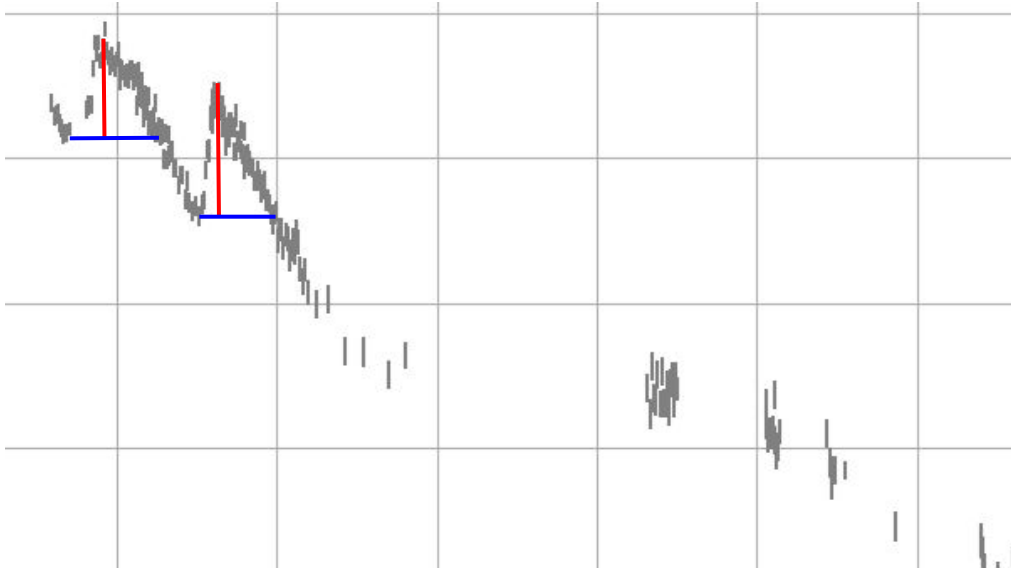


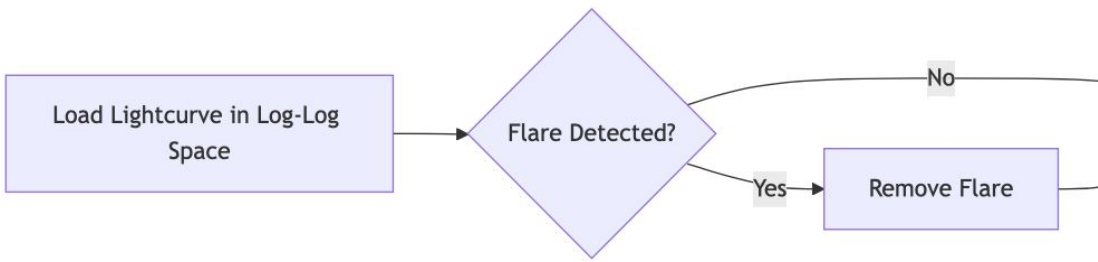
1. Load the lightcurve in Log-Log space
2. Quality checks: e.g. minimum number of data points



Only assumption: (except for flares) the lightcurve is generally decreasing

1. Identify peaks using their prominence and width



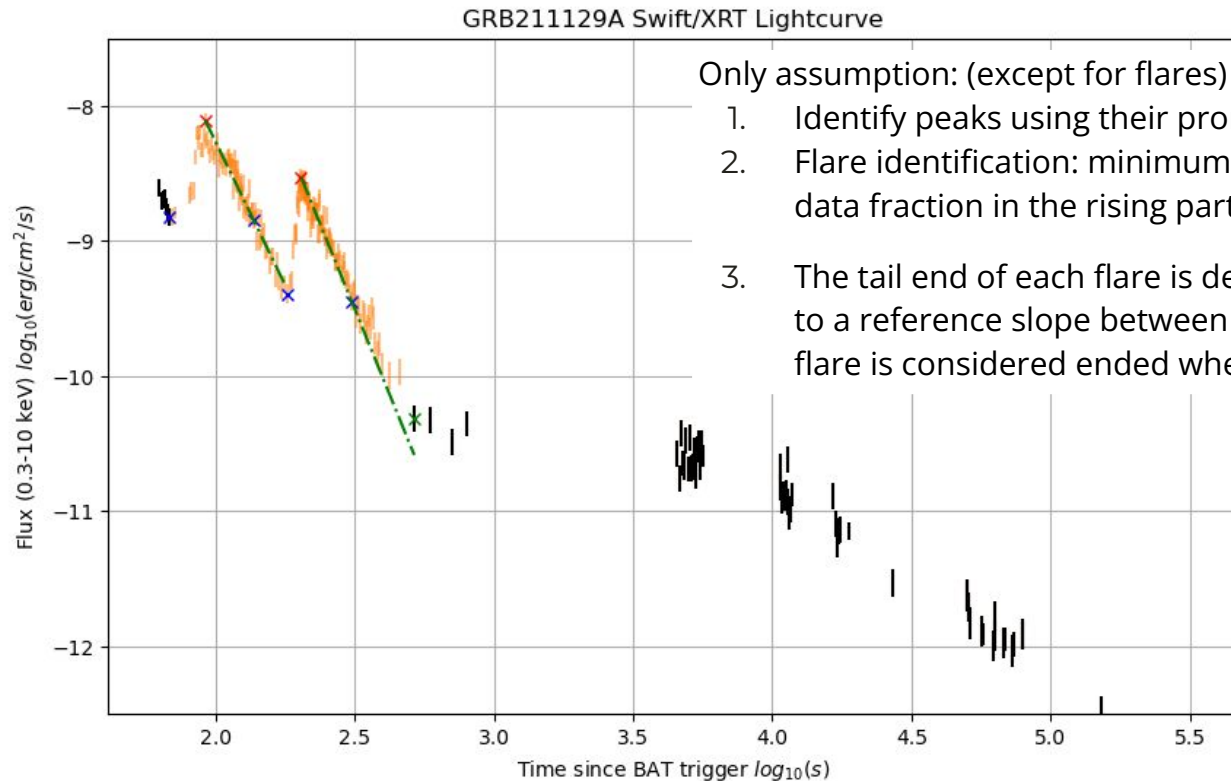
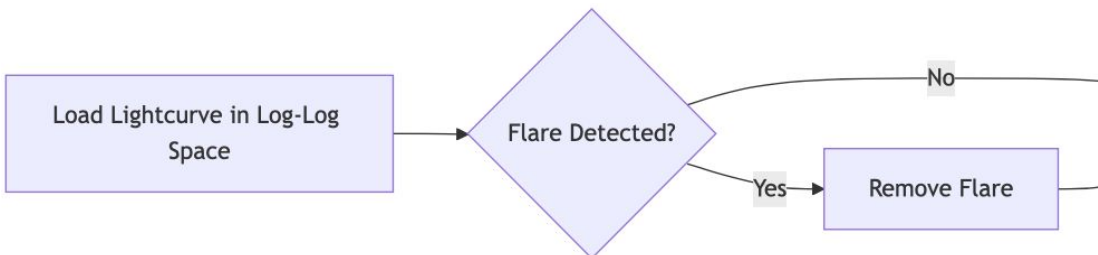


Only assumption: (except for flares) the lightcurve is generally decreasing

1. Identify peaks using their prominence and width
2. Flare identification: minimum significance of the peak and minimum data fraction in the rising part*

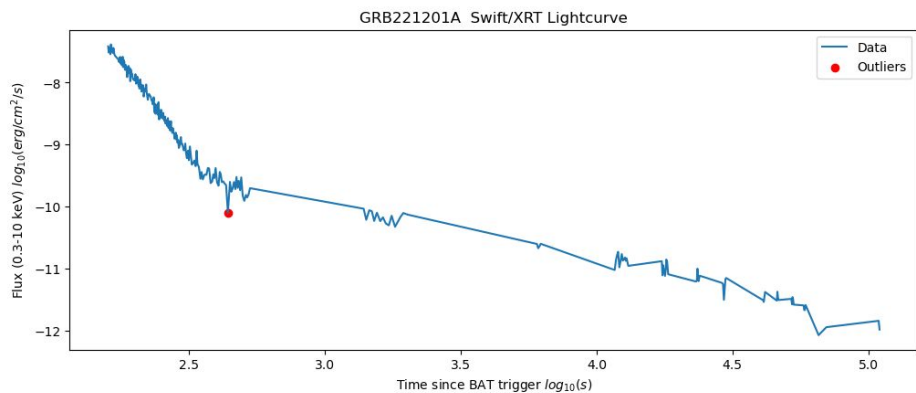
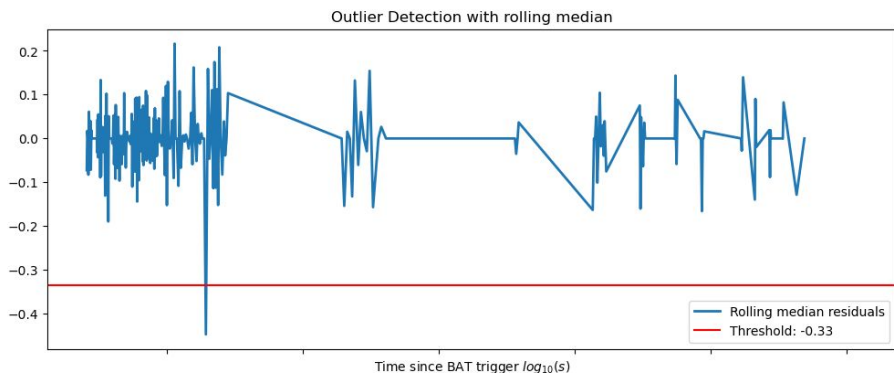
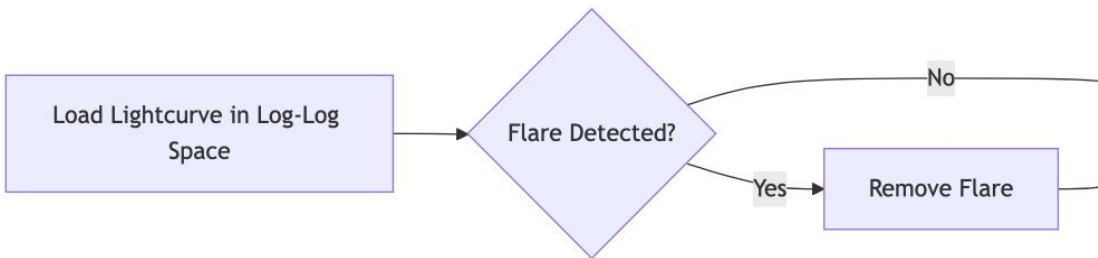


* inspired by the Swift automated analysis old pipeline
Evans et al., MNRAS 2009, DOI: 10.1111/j.1365-2966.2009.14913.x



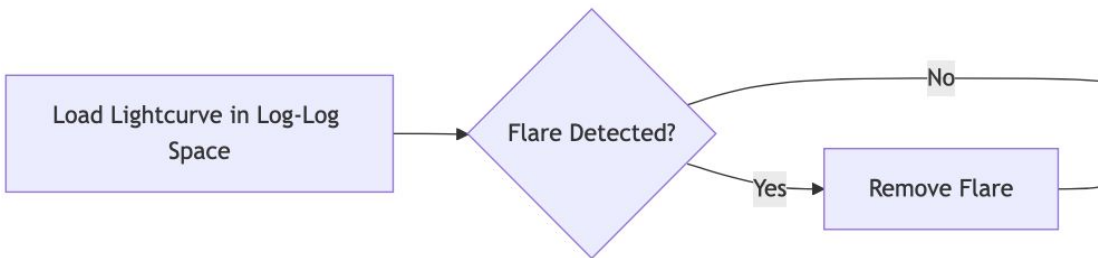
Only assumption: (except for flares) the lightcurve is generally decreasing

1. Identify peaks using their prominence and width
2. Flare identification: minimum significance of the peak and minimum data fraction in the rising part
3. The tail end of each flare is determined by comparing post-flare points to a reference slope between the peak and an initial parallel point. The flare is considered ended when deviations exceed a threshold

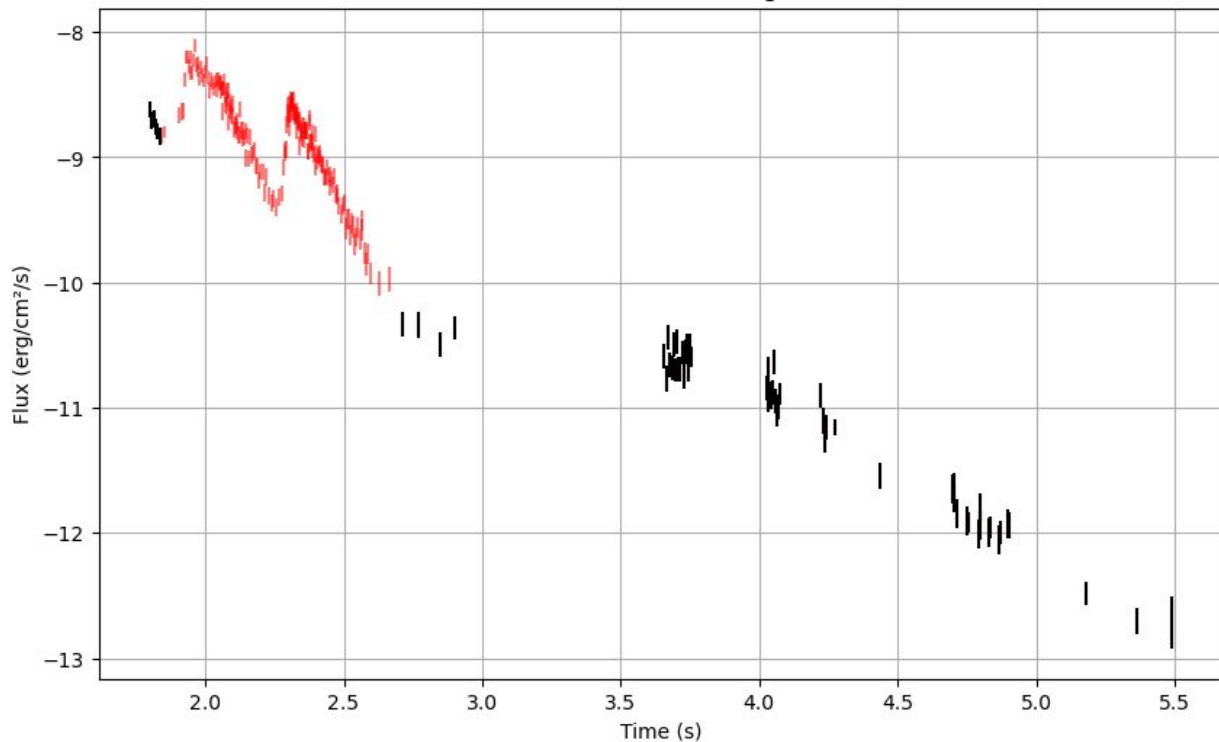


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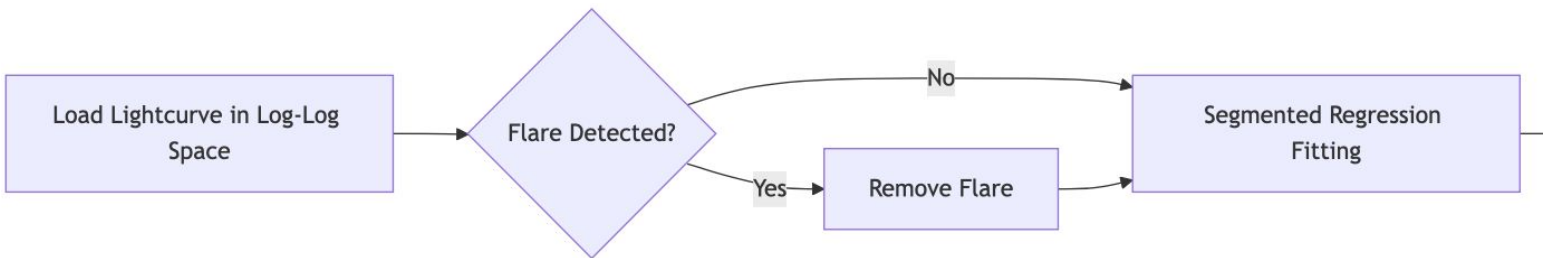
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3. The tail end of each flare is determined by comparing post-flare points to a reference slope between the peak and an initial parallel point. The flare is considered ended when deviations exceed a threshold
4. Quality checks: e.g. outlier detection



GRB211129A Swift/XRT Lightcurve

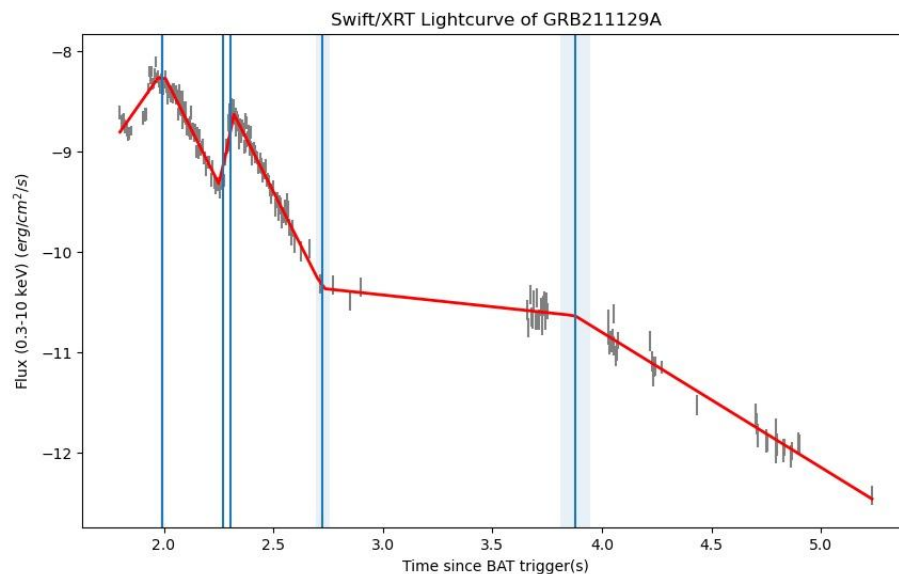


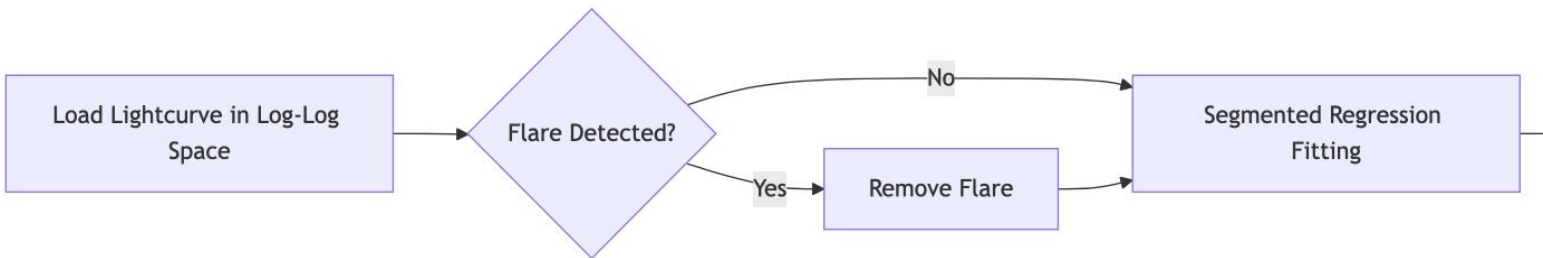
Approx. 29.5% of GRBs in the Swift-XRT catalog have at least one identifiable flare



Log-Log space -> segmented regression -> Muggeo's method (Muggeo, Wiley 2003, DOI: 10.1002/sim.1545)

$$y = c + \alpha_1 x + \sum_{k=1}^N \beta_k (x - \psi_k) H(x - \psi_k)$$



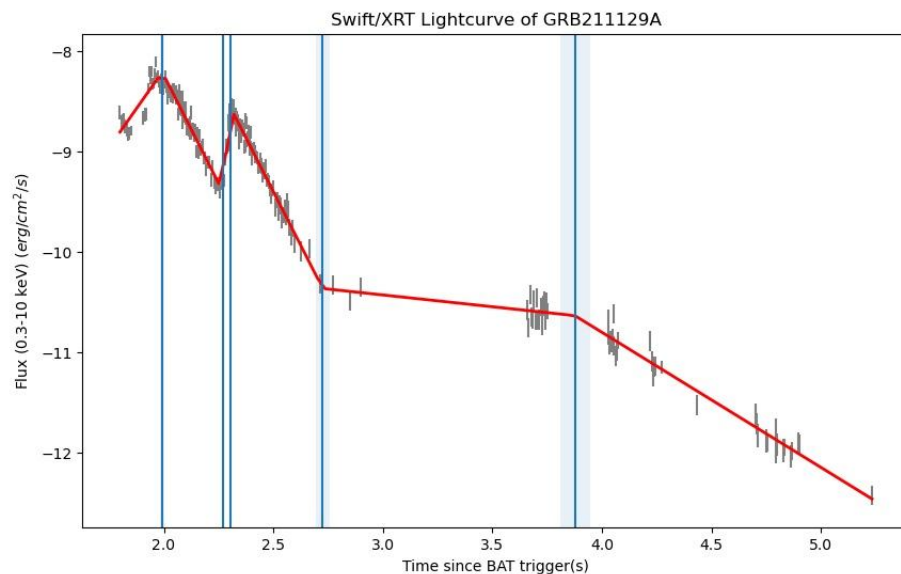


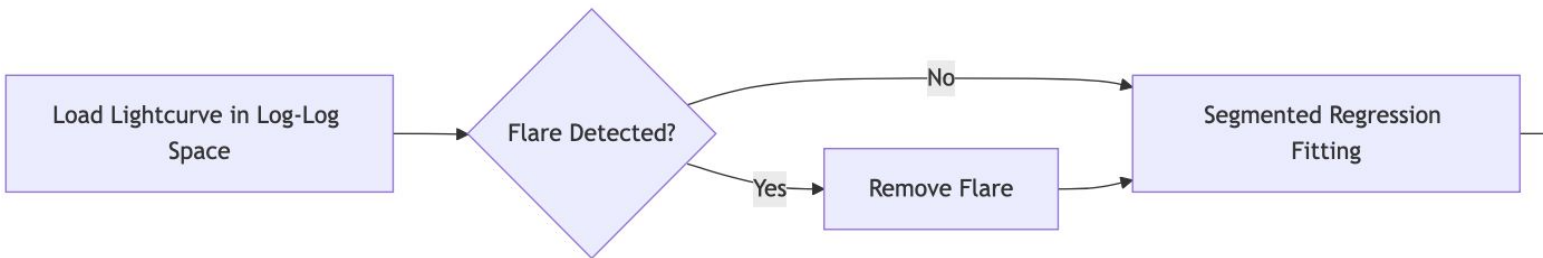
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E.g.: for a single breakpoint:

$$y = \alpha x + c + \beta (x - \psi) H(x - \psi)$$





Log-Log space -> segmented regression -> Muggeo's method (Muggeo, Wiley 2003, DOI: 10.1002/sim.1545)

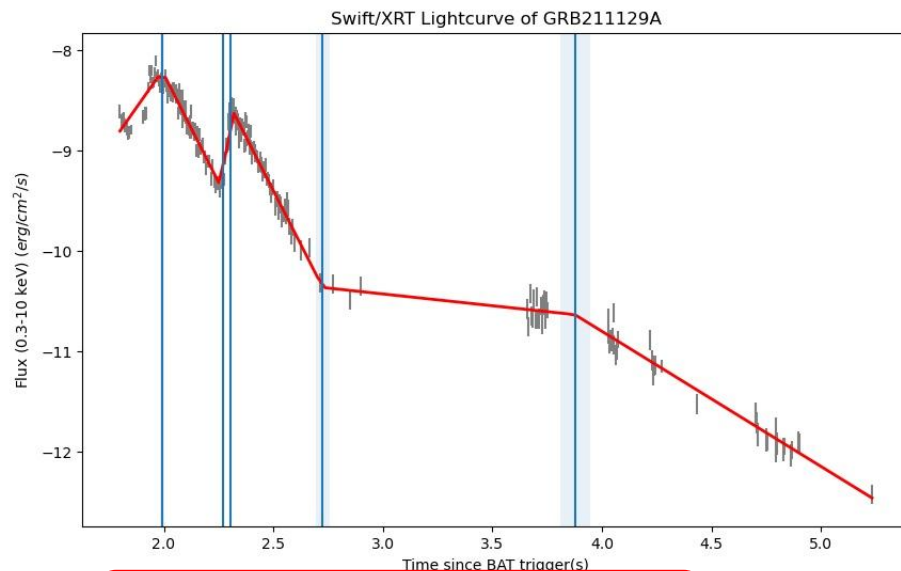
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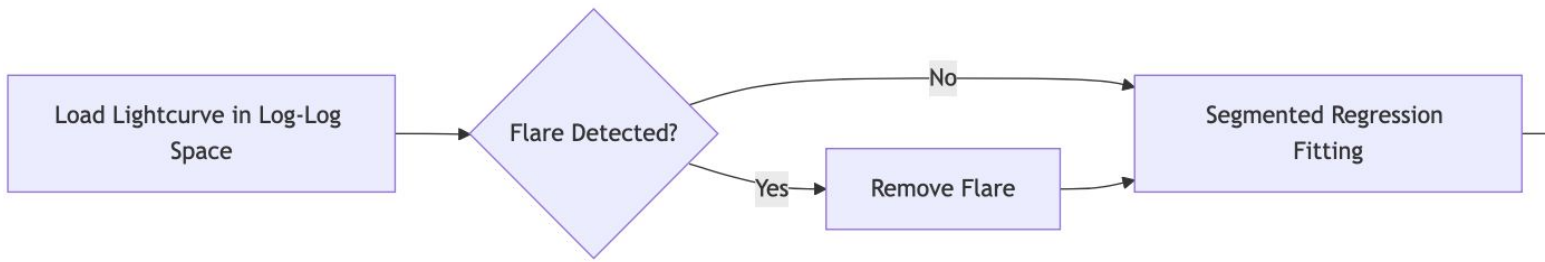
E.g.: for a single breakpoint:

$$y = \alpha x + c + \beta (x - \psi) H(x - \psi)$$

Taylor expansion around an estimate of the breakpoint:

$$y \approx \alpha x + c + \beta (x - \psi^{(0)}) H(x - \psi^{(0)}) - \beta (\psi - \psi^{(0)}) H(x - \psi^{(0)})$$





Log-Log space -> segmented regression -> Muggeo's method (Muggeo, Wiley 2003, DOI: 10.1002/sim.1545)

$$y = c + \alpha_1 x + \sum_{k=1}^N \beta_k (x - \psi_k) H(x - \psi_k)$$

This is done with a custom version of the **Piecewise-regression** Python library

Pilgrim, JOSS 2021, DOI: 10.21105/joss.03859

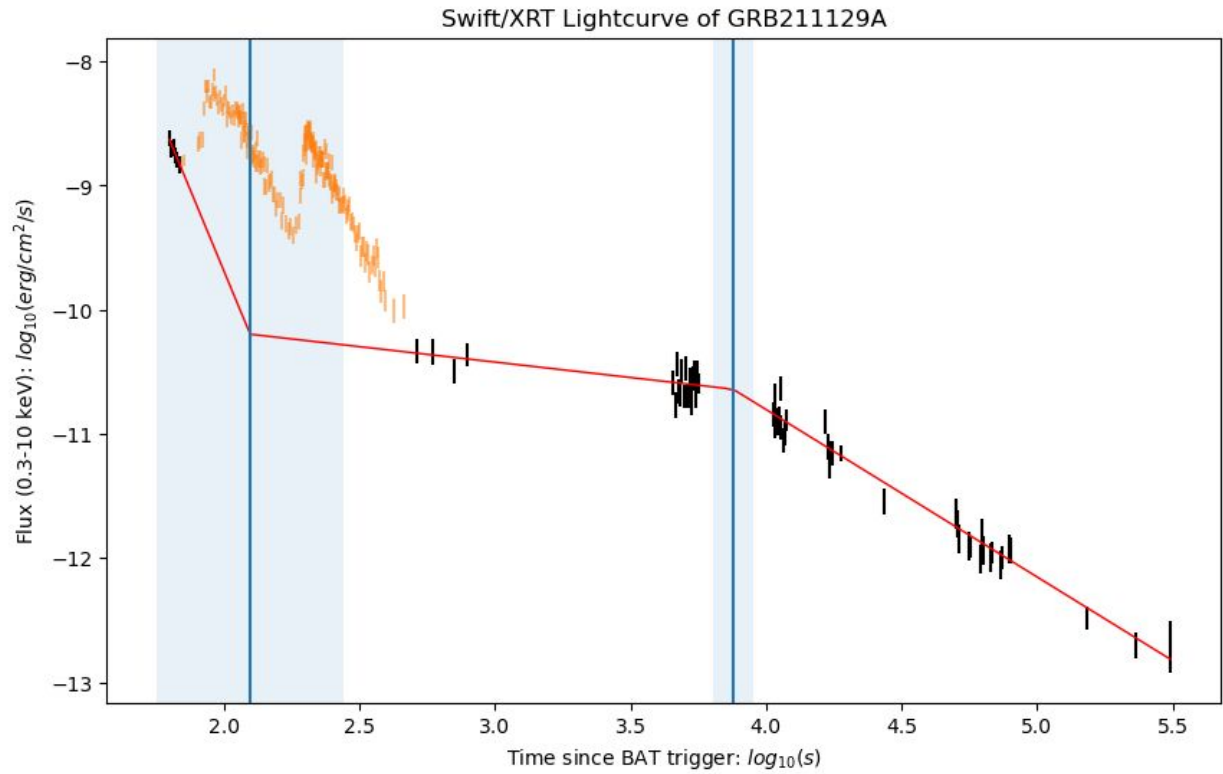
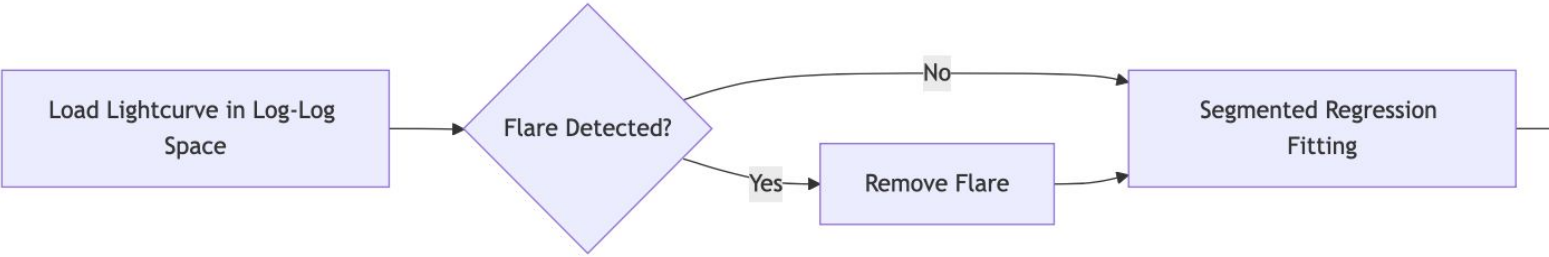
<https://github.com/chasmani/piecewise-regression>

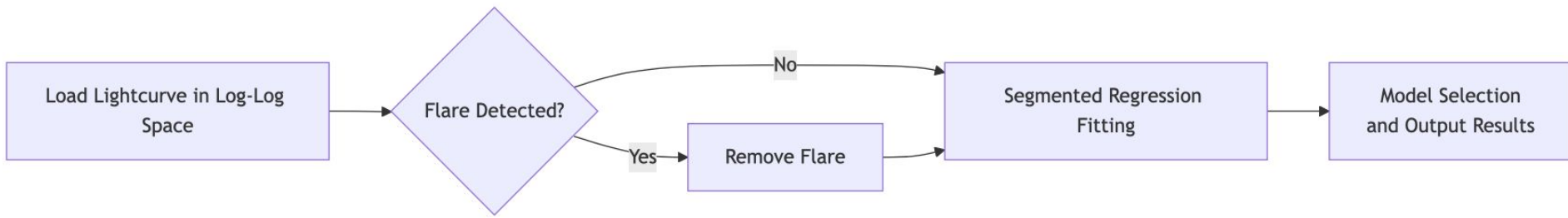
E.g.: for a single breakpoint:

$$y = \alpha x + c + \beta(x - \psi)H(x - \psi)$$

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$$y \approx \alpha x + c + \beta(x - \psi^{(0)})H(x - \psi^{(0)}) - \beta(\psi - \psi^{(0)})H(x - \psi^{(0)})$$





- Need to compare all the models for selecting the best fit -> BIC
- Few datapoints? -> need flexibility to choose the best statistics:

$$\text{BIC} := -2 \log(L) + k \log(n),$$

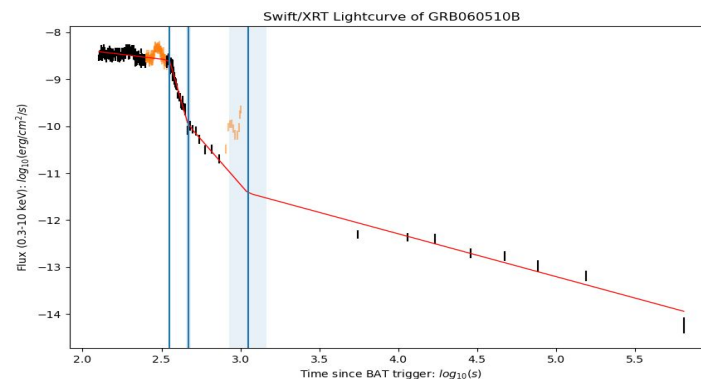
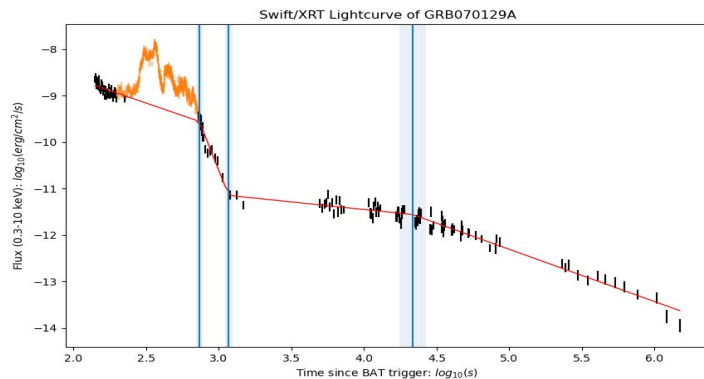
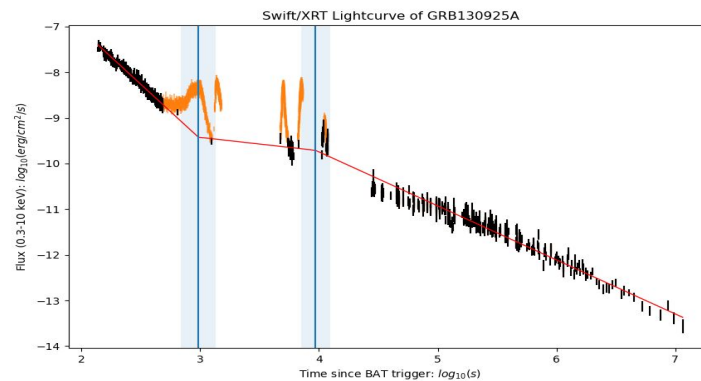
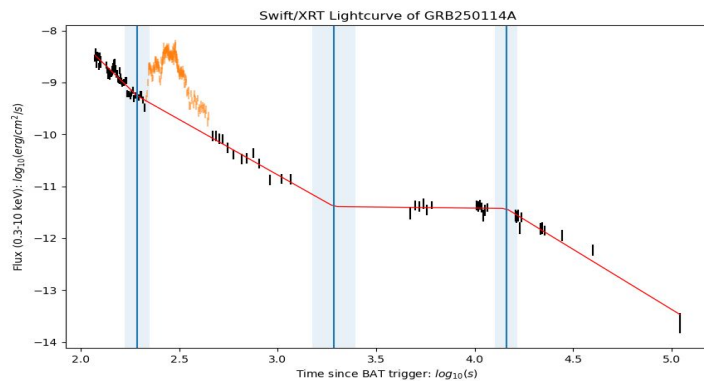
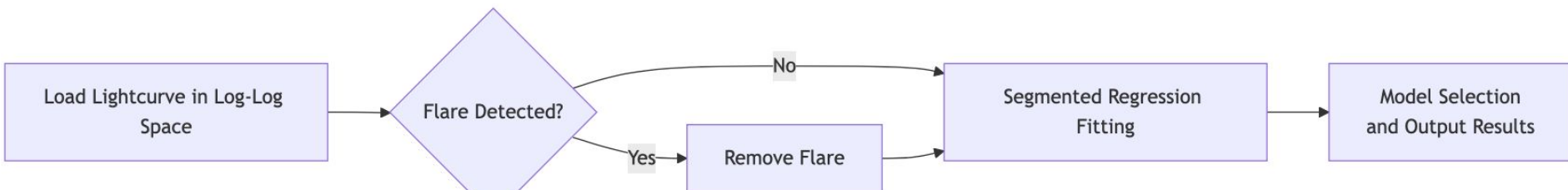
$$\text{AICc} := -2 \log(L) + \frac{2k(k+1)}{n-k-1},$$

$$\text{BICc} := -2 \log(L) + \frac{n}{n-k-2} k \log(n),$$

$$\text{EvBIC} := -2 \left(1 - \frac{1}{n} \right) \log(L) + k \log(n),$$

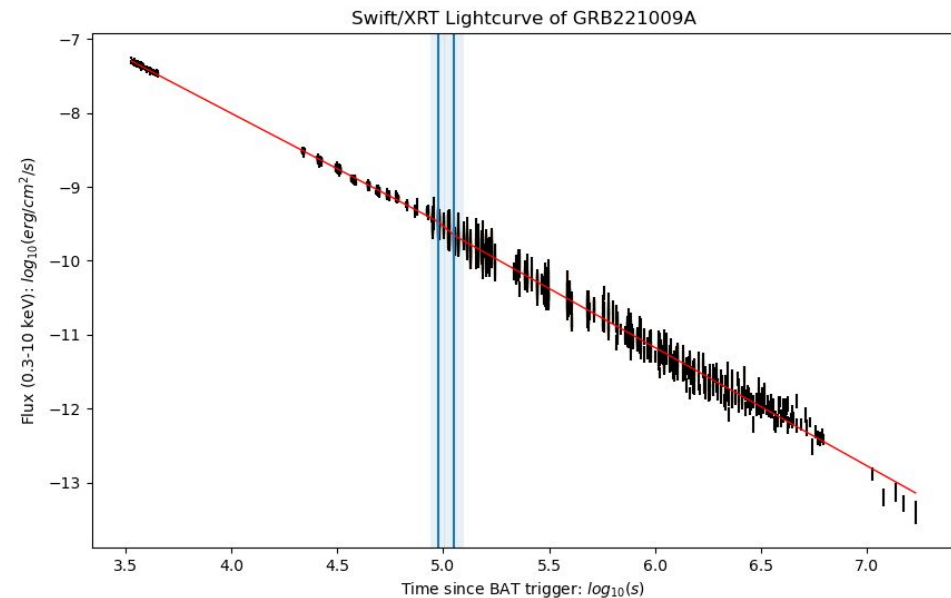
$$\begin{cases} n = \text{number of points} \\ k = \text{number of free parameters} = 2(1 + N_{\text{breaks}}) \end{cases}$$

McQuarrie, S&PL (1999), [https://doi.org/10.1016/S0167-7152\(98\)00294-6](https://doi.org/10.1016/S0167-7152(98)00294-6)
 Bickel, SP (2025), <https://doi.org/10.1007/s00362-025-01682-1>

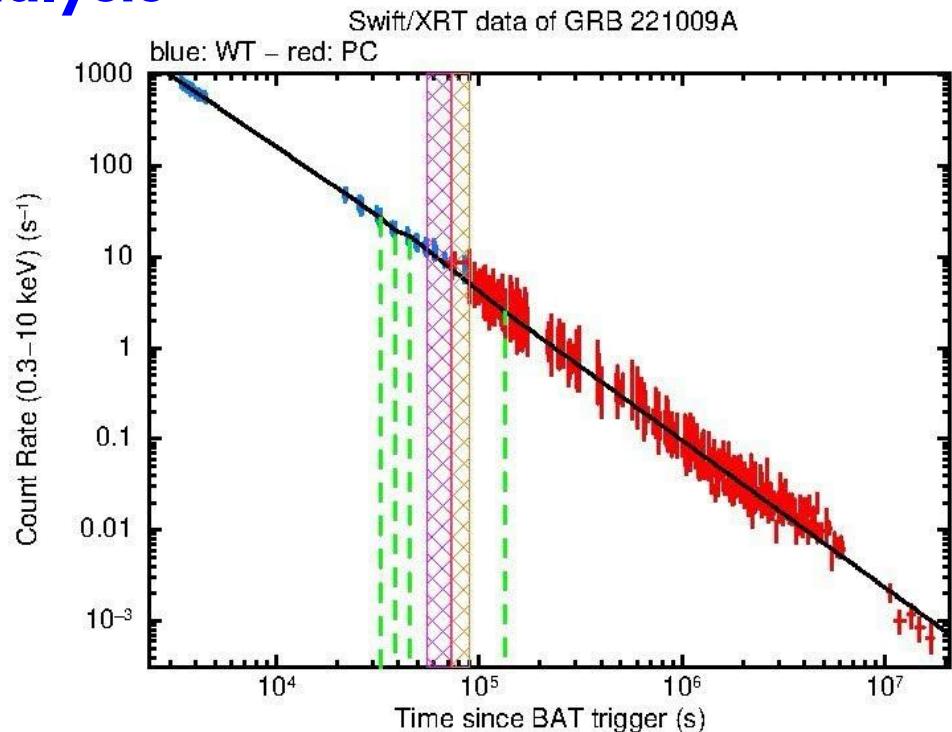


Some Results:

GRB221009A in GRBfit & Swift analysis



GRB221009A analysis with the new method: no flare and 2 breakpoints identified.

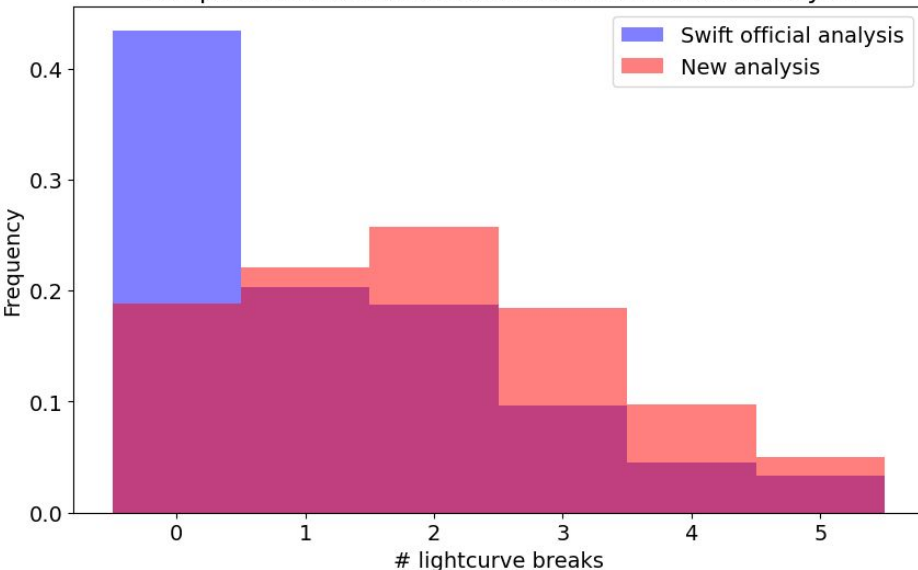


GRB221009A analysis with the Swift method: 2 flares and 4 breakpoints identified.

Some Results:

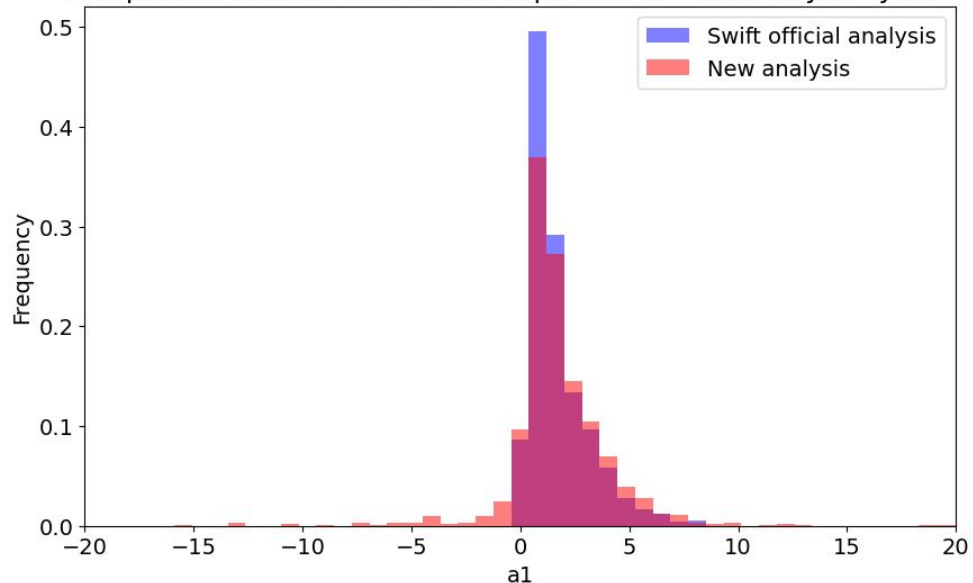
parameter distributions in GRBfit & Swift analysis (1400 GRBs)

Comparison between GRB breaks with the two analysis



Comparison of the number of breakpoints obtained with the two analysis methods.

Comparison between GRBs first slope with the two analysis systems



Comparison of the slope of the first powerlaw segment.
Evans et al., MNRAS 2009, DOI: 10.1111/j.1365-2966.2009.14913.x

Future prospects:

1. Enables consistent feature extraction across a significantly large dataset
2. Allows robust trend identification in GRB afterglows
3. Model independent flare identification and characterization
4. Allows direct comparison of different GRB “families”
5. Applicable also to other sources and other energy bands

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