

Kaon properties in cold or dense nuclear matter

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For the HADES Collaboration



Neutron Stars

Presence of strangeness in the interior of Neutron stars?

Densities= 7-10 ρ_0 , Radius= 10-13 km

Strangeness in the Form of antiKaons or Hyperon could appear -> EOS would become softer

The potential depth (K -Nucleon, Hyperon-Nucleon) influences the stiffness of the EOS

EOS: Dependency between Pressure and density:

Imposing $P(R)=0$ (the internal pressure must be compensated by gravity) -> $M(R)$ can be determined

M vs R lines for neutron stars as a function of different EOS.

Ingredients to such Models:; s. Weissenborn, D. Chatterjee, J. Schaffner-Bielich arXiv:1111.6049v3

B/A = Binding Energy per Baryon Number

ρ_0 = saturation density

asym = asymmetry coefficient (32.5 MeV)

K = Kompressibility of nuclear matter

M^* = Effective Nucleon mass

K -Nucleon, Hyperon-Nucleon Potential

The Connection of the KN Potential to Neutron Stars

Kaon condensation in neutron stars? -> extract the K^- - Nucleus potential to test hypotheses.

Meanwhile: Neutron stars are TOO HEAVY to contemplate kaon condensate but maybe Hyperons still stand a chance?

Blue: Nucleons

Pink: Nucleons + exotic matter

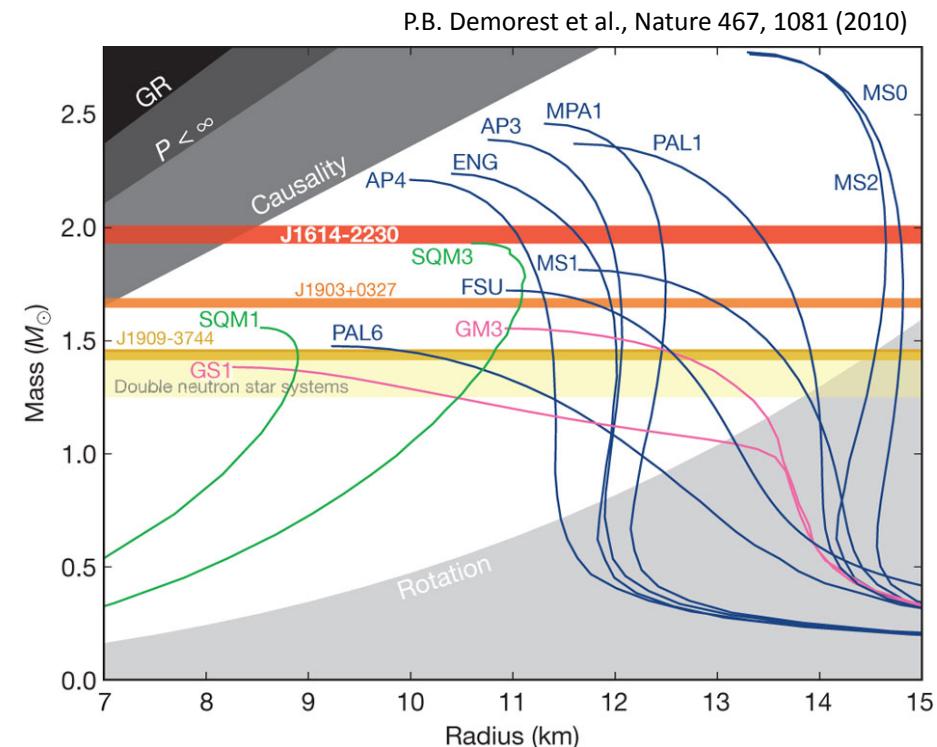
Green: strange quark matter

Λ -Nucleus

Σ -Nucleus

Ξ -Nucleus

?? At different densities?

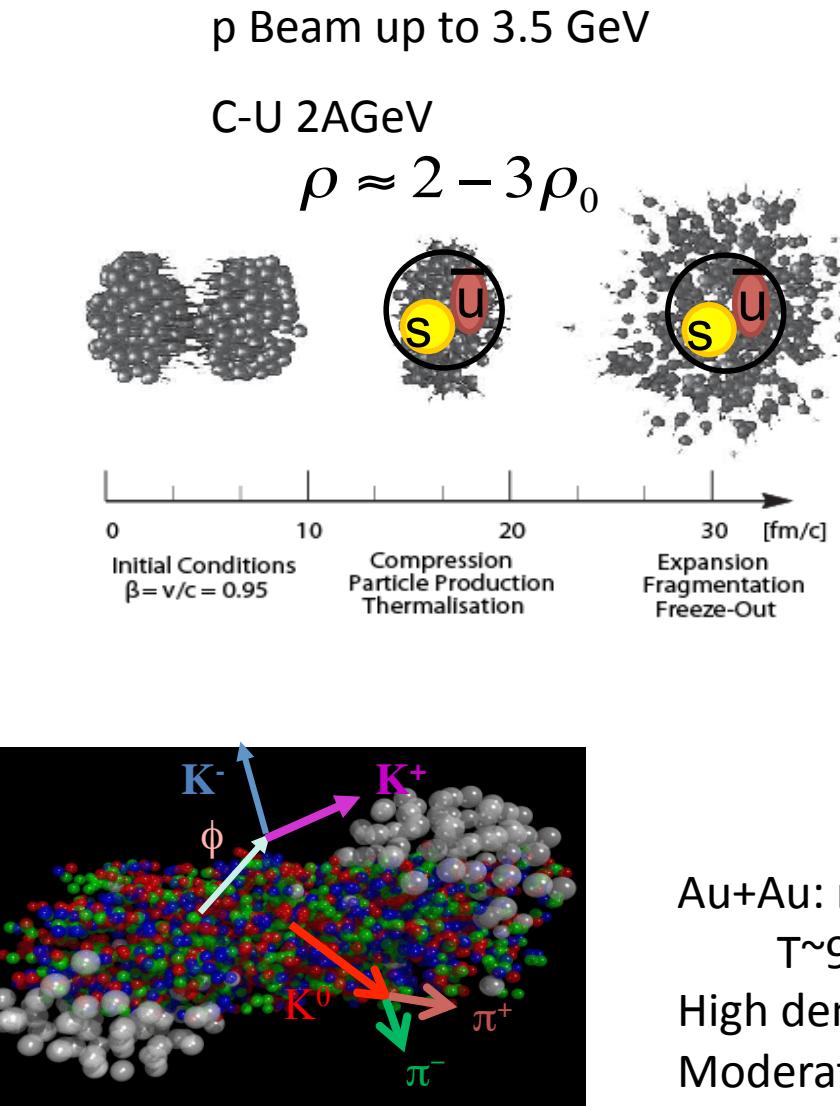
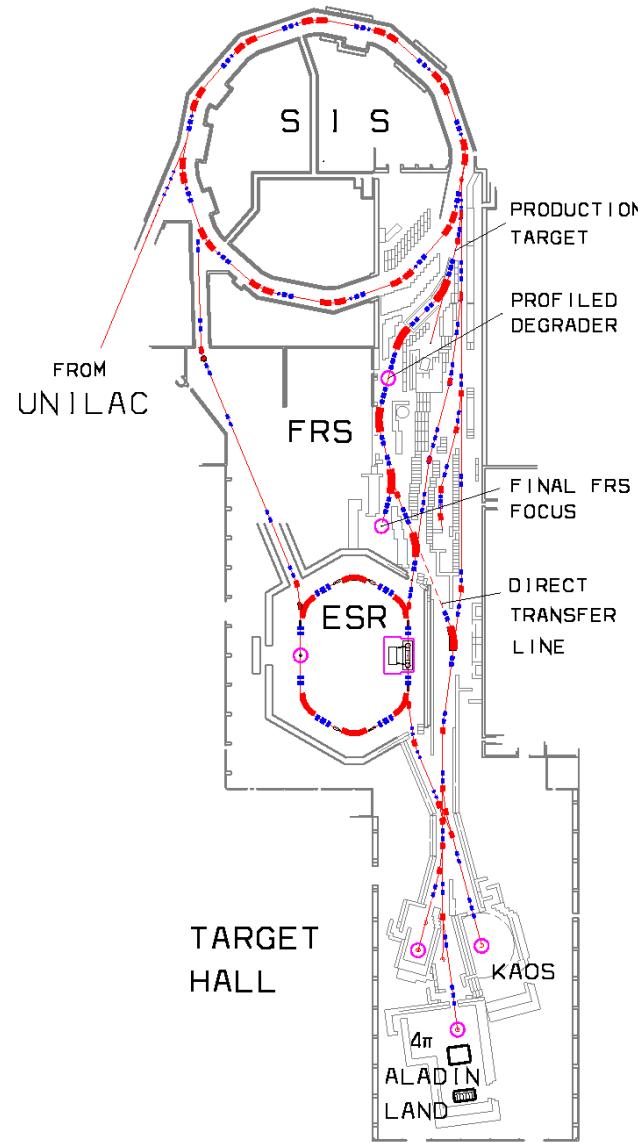


We can start with ρ_0 for K^0 s, K^+ , Λ ($p+p$, $p+Nb$ reactions)

Then move to 2-3 ρ_0 for K^0 s, K^+ , Λ and Ξ ($Au+Au$, $Ag+Ag$)

Heavy Ion Collisions at SIS18

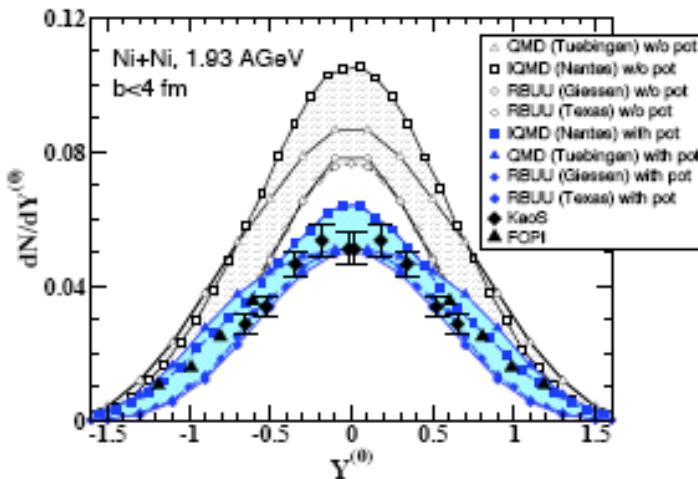
Helmholtz Zentrum: Gesellschaft für Schwerionenforschung



Au+Au: $r_{\max} \sim 3\rho_0$
T~90 MeV
High density
Moderate temperature

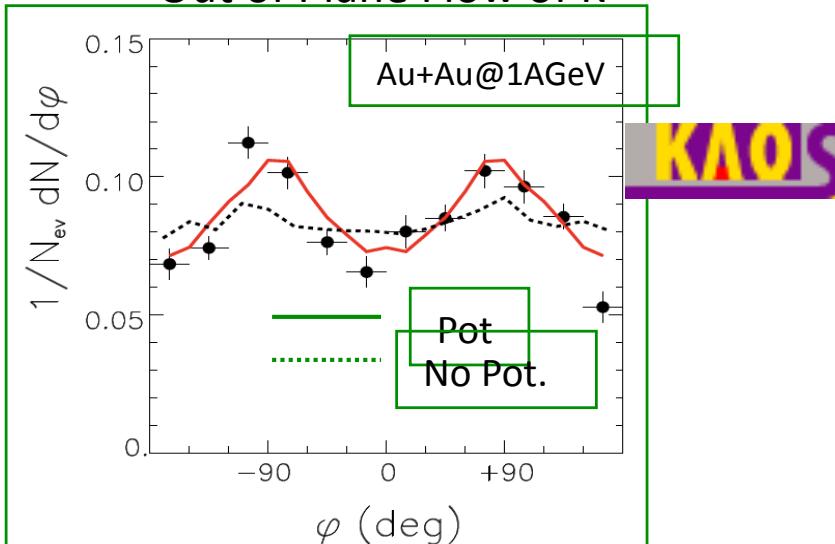
How to extract the KN potential from the data

Rapidity Distribution



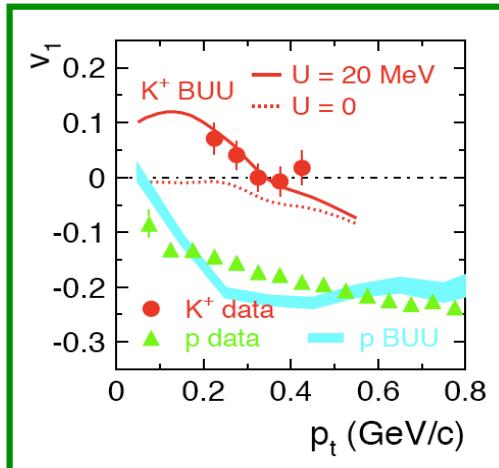
D. Best. et. al (FOPI) Nucl. Phys. A 625 (1997) 307
 M- Menzel et al. (KAOS) Phys. Lett. B 495 (2000) 26.

Out of Plane Flow of K^+



Y. Shin et al. Phys. Rev Lett. 81 (1998) 1576-1579.
 RBUU: G.Q.Li et al. Phys. Lett. B 381 (1996) 17.

Sideward Flow of K^+



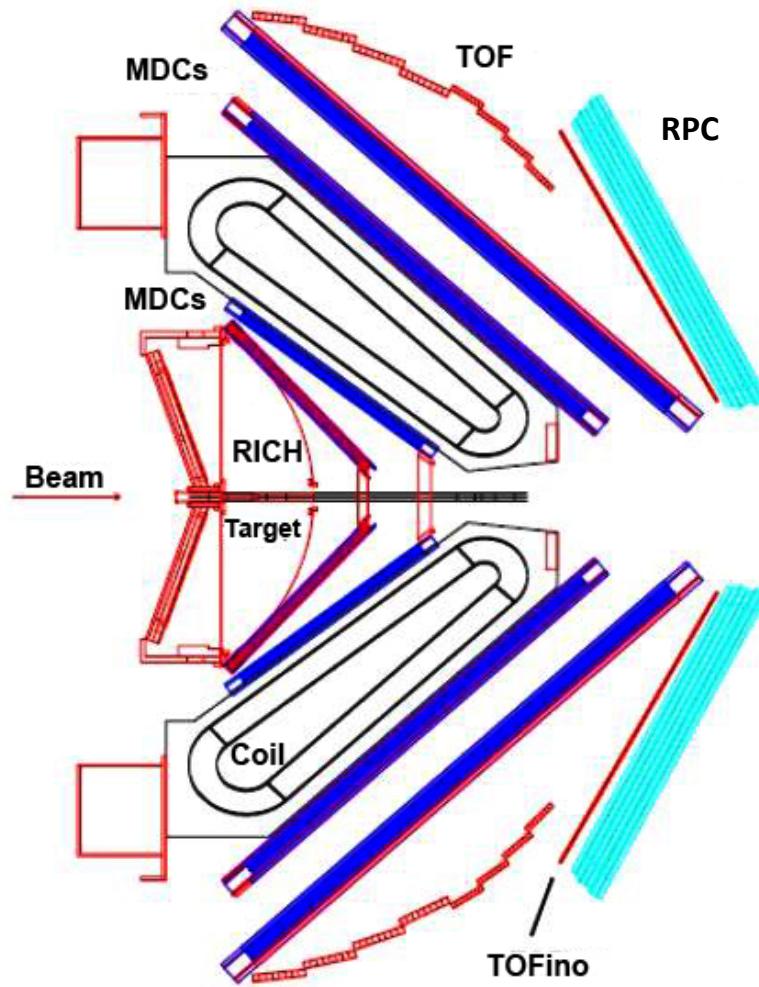
P.Crochet et al. Phys. Lett. B 486 (2000) 6.

RBUU: E. Bratkovskaya et al. Nucl. Phys. A622 (1997) 593.

New results for K^+ and K^- Sideward Flow are expected soon from the FOPI Collaboration

+ Study of the low Pt spectra

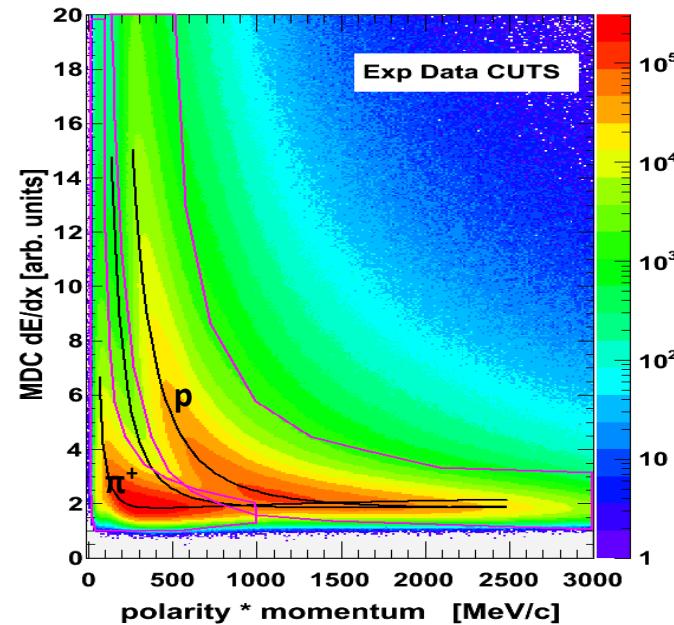
The HADES Spectrometer



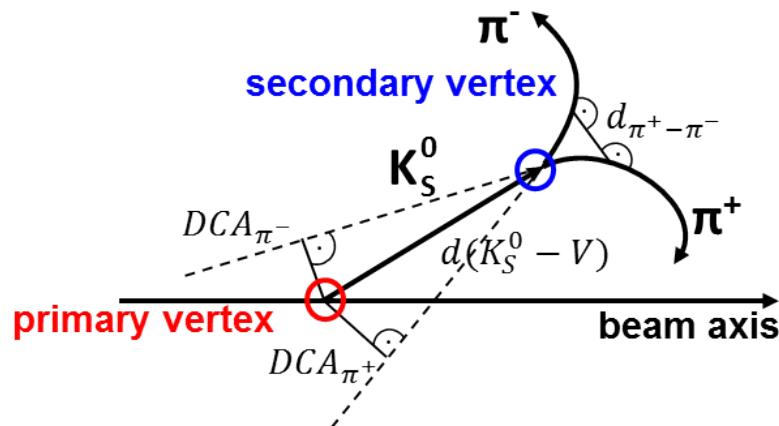
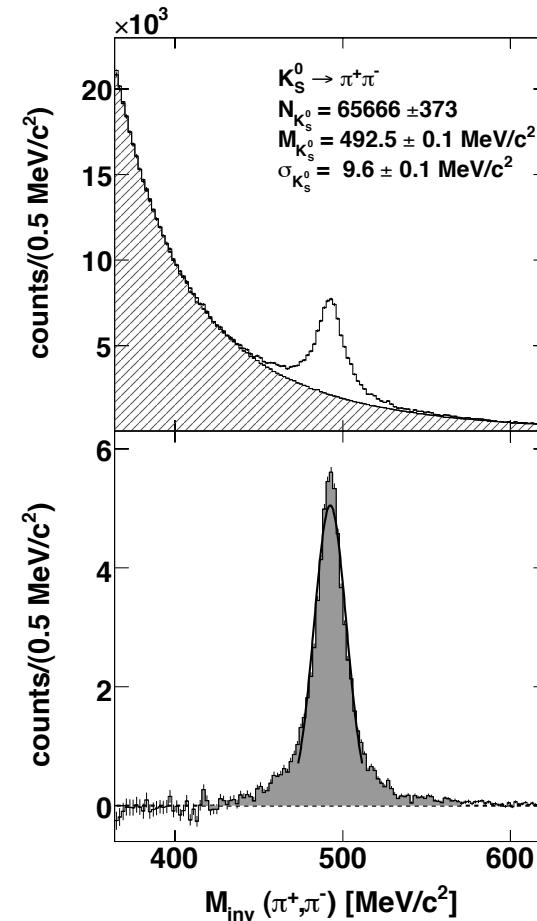
High Acceptance Di-Electron Spectrometer:

- High acceptance for dilepton pairs
- Momentum resolution $\approx 1\text{-}5\%$
- Particle identification via dE/dx
- $6.9 \cdot 10^8$ events in Ar+KCl @ 1.756 AGeV
- $1.2 \cdot 10^9$ events in p+p @ 3.5 GeV
- $4.2 \cdot 10^9$ events in p+Nb @ 3.5 GeV

Particle Identification

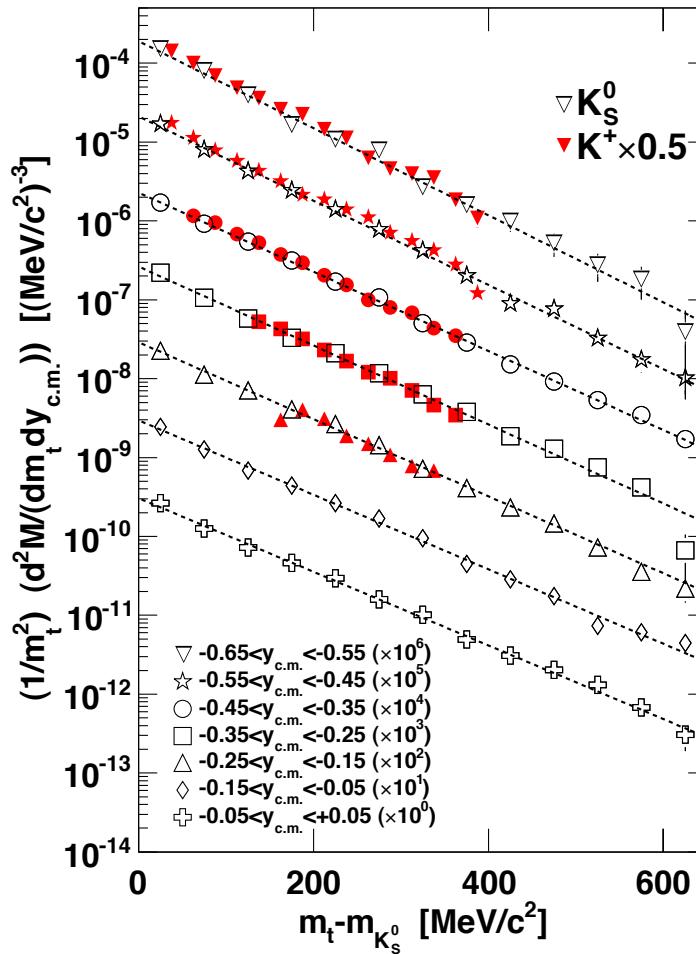
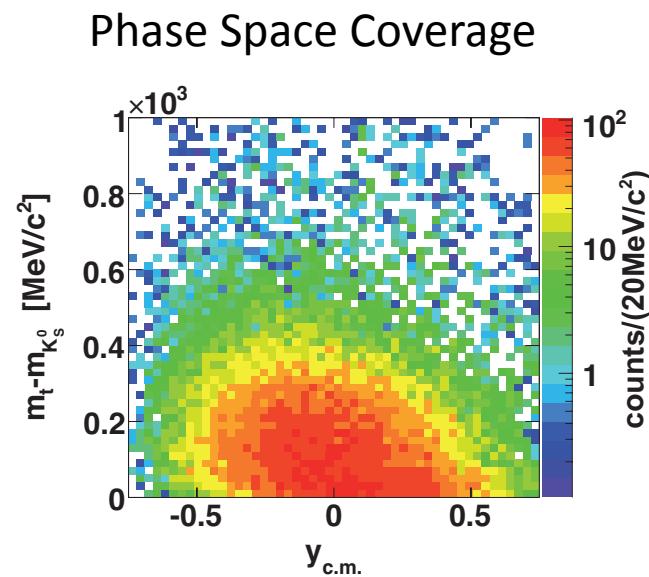


HADES: Ar+KCl @ 1.756AGeV



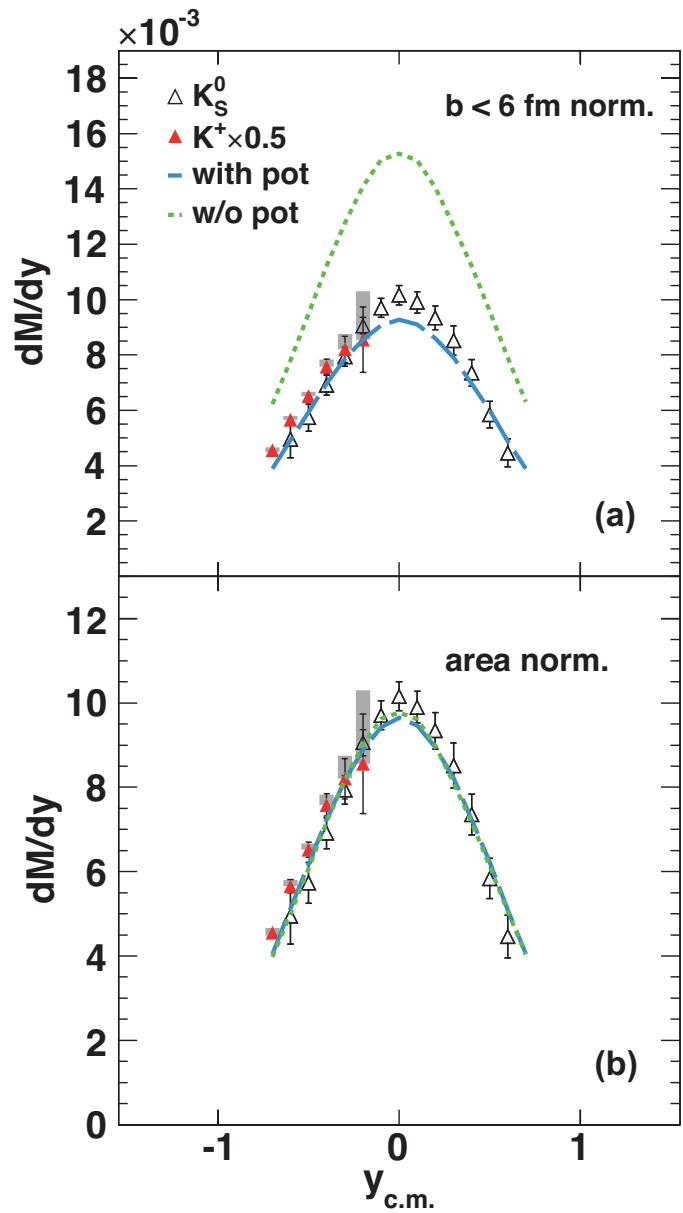
KOS in Ar+KCl @ 1.756AGeV

HADES: Ar+KCl @ 1.756AGeV



Reduced m_T spectra show consistency
between K^+ and K_0^0

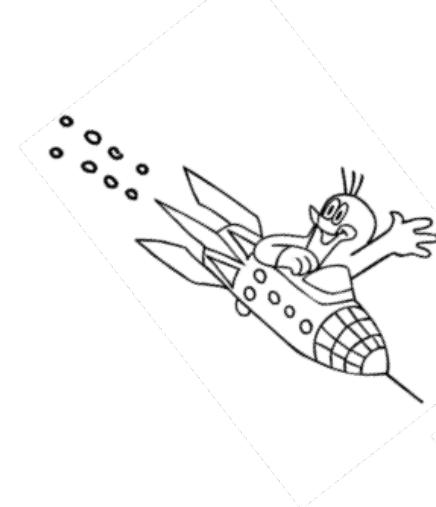
Rapidity Distribution



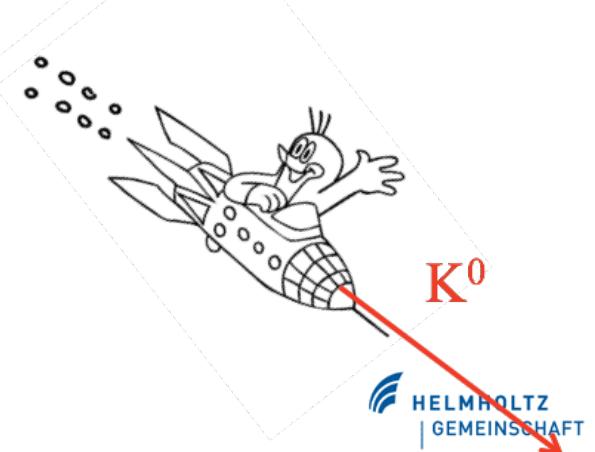
HADES: Ar+KCl @ 1.756AGeV

No sensitivity to the shape of the distribution!
The potential influences the absolute yield but this could vary because of scattering cross-section

Without additional Force

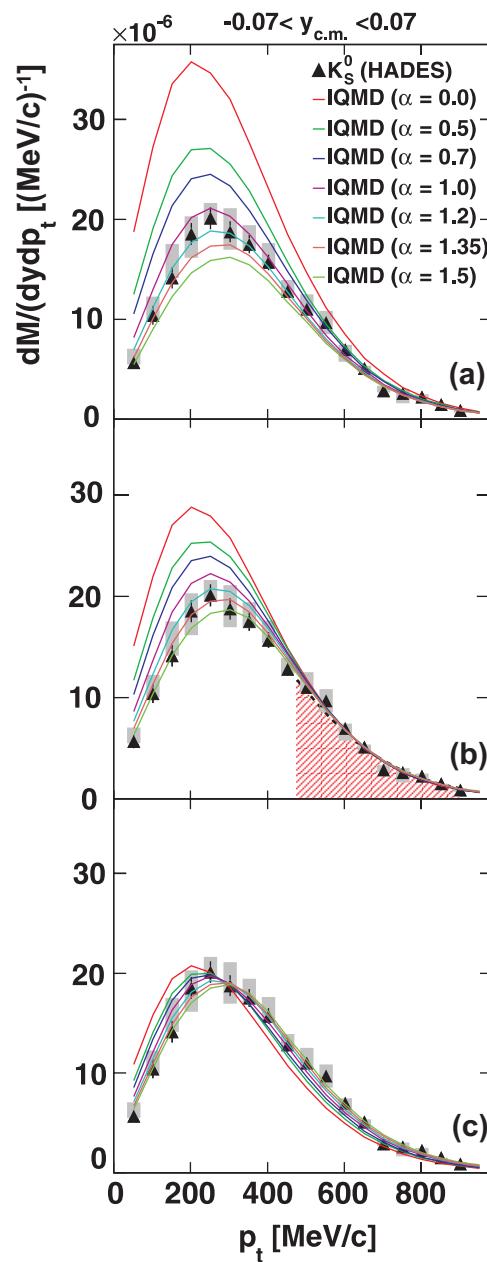


With additional Force



K⁰ Potential

HADES: Ar+KCl @ 1.756AGeV



Comparison of the experimental data with the IQMD Model for different values of the potential and different normalization procedures

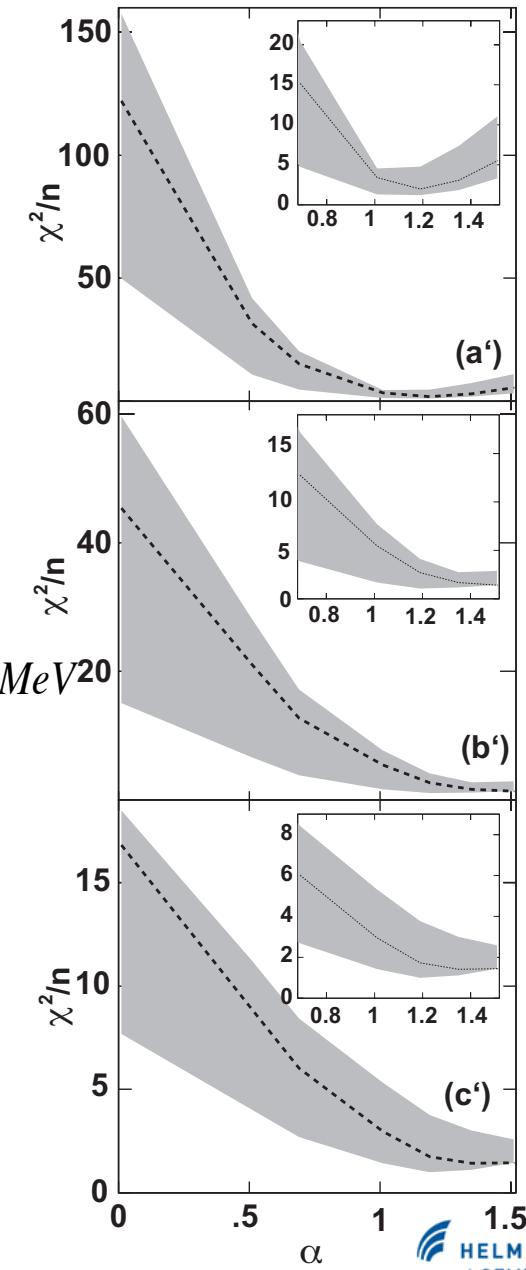
Linear Ansatz

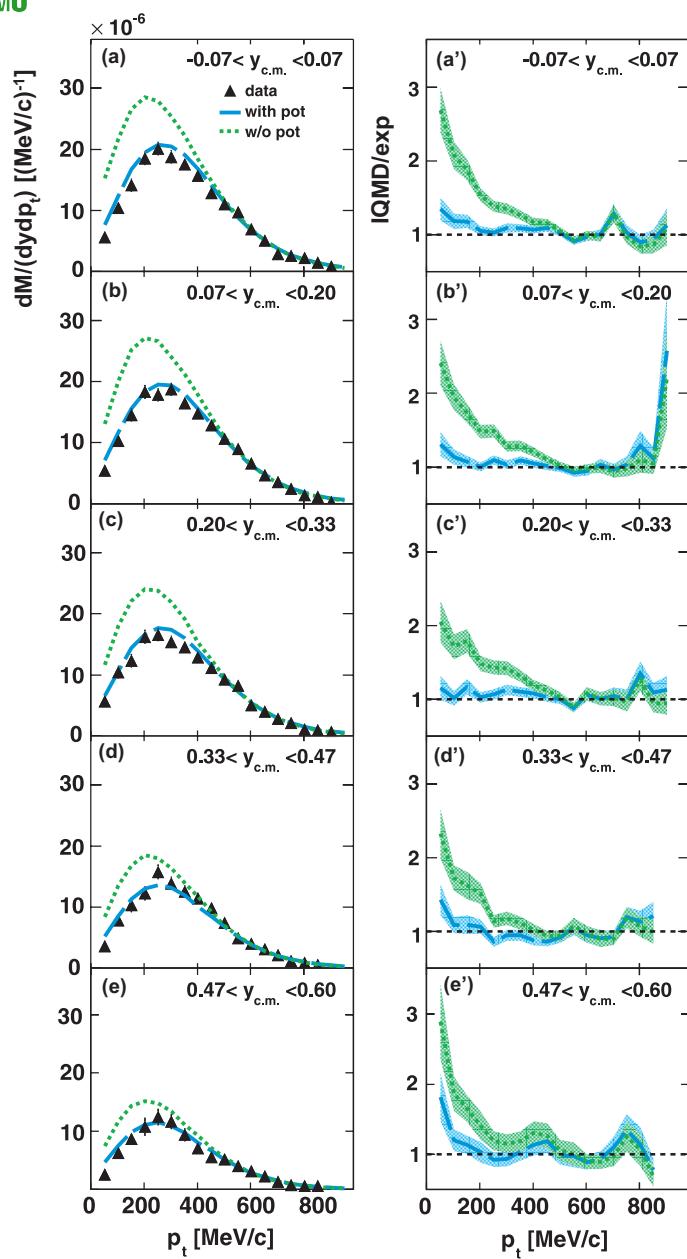
$$U(\alpha) = U_0 + U' \alpha, \quad U_0 \approx 0.8 \text{ MeV}, \quad U' \approx 38 \text{ MeV}$$

α = Parameter

$$\alpha = 1.2 \rightarrow U = 46 \text{ MeV}$$

$$\alpha = 1.10 \rightarrow U = 38.8 \text{ MeV}$$





Pt Distributions

HADES: Ar+KCl @ 1.756AGeV

IQMD Model compared to the experimental data

Normalization:

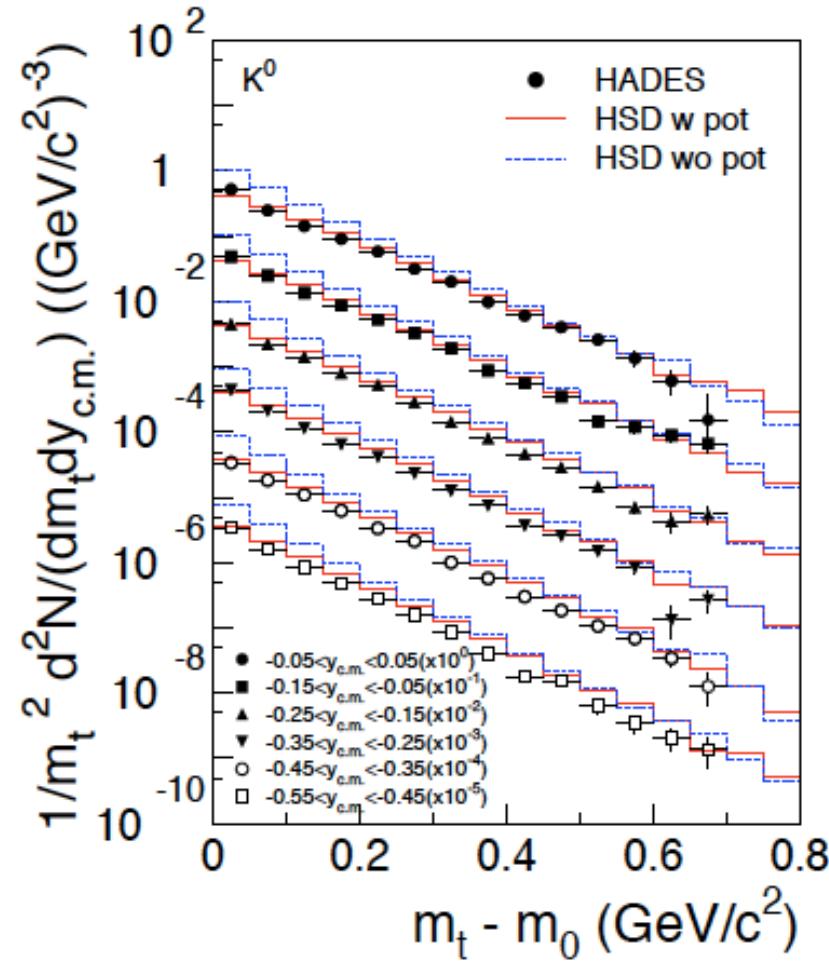
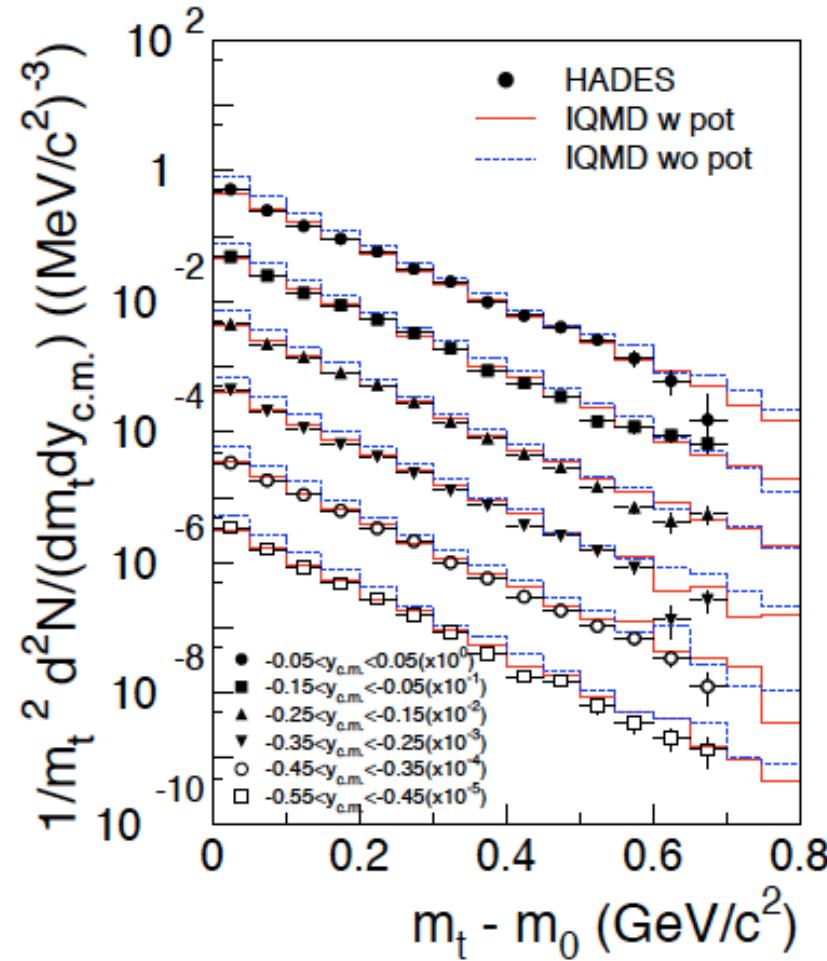
$b < 6 \text{ fm}$ -> corresponds to the experimental trigger

Pion spectra reproduced within 15%

HADES, IQMD and HSD

HADES: Ar+KCl @ 1.756AGeV

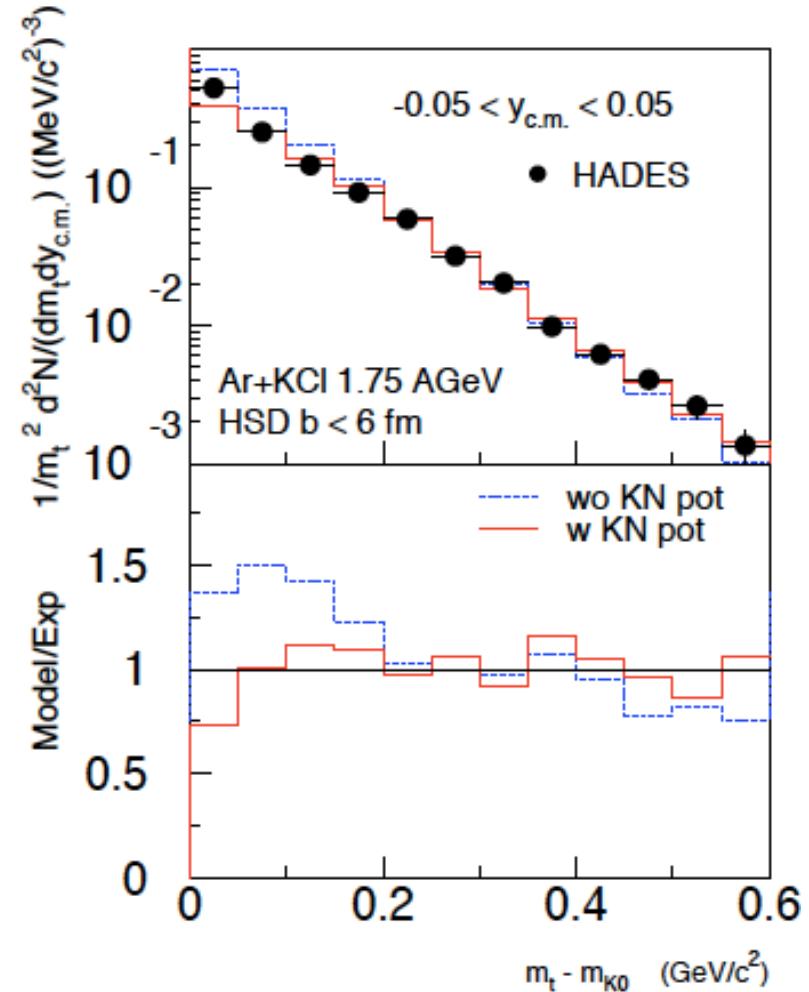
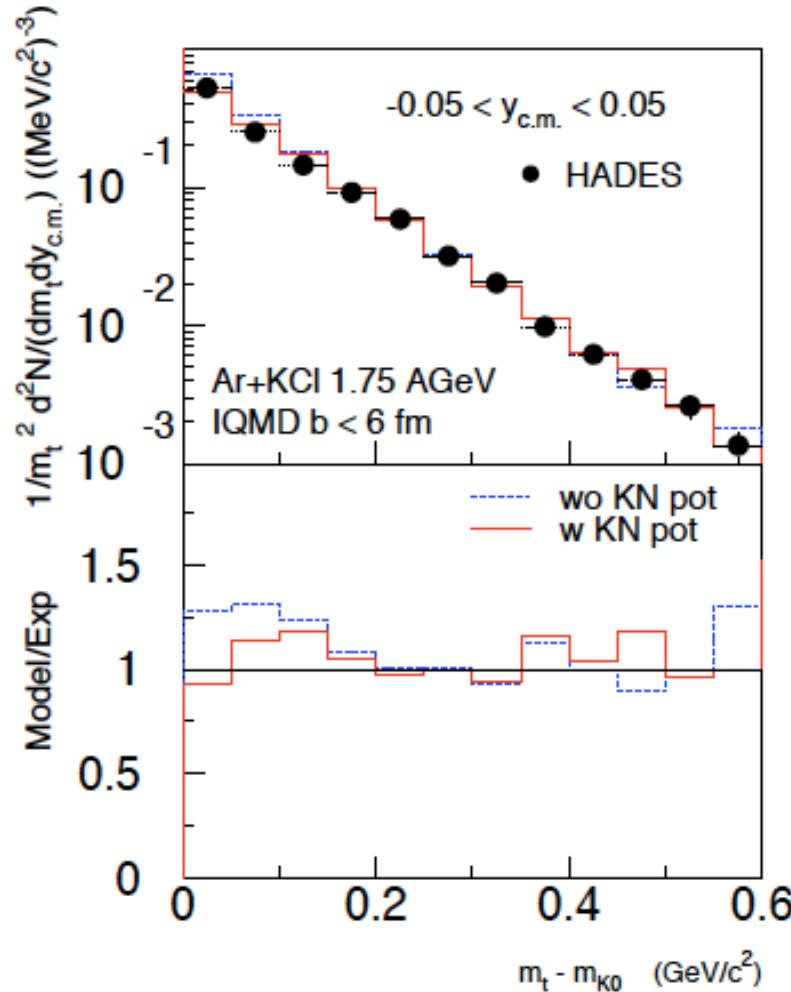
Hartnack, Oeschler, Leifels, Bratkovskaya, Aichelin Phys. Rep. 510, 4-5, 119 (2012)



HADES, IQMD and HSD

Hartnack, Oeschler, Leifels, Bratkovskaya, Aichelin Phys. Rep. 510, 4-5, 119 (2012)

HADES: Ar+KCl @ 1.756AGeV



K0s Summary

	Ar+KCl - HADES	π^- +A - FOPI	p+A - ANKE
KN potential [MeV]	42.4 ± 3.7	20 ± 5	20 ± 3

Where do the differences come from?

Less sensitivity for low Pt in FOPI and ANKE?

Different theories?

Study the p+p and p+Nb reactions in HADES to verify the strength of the KN potential

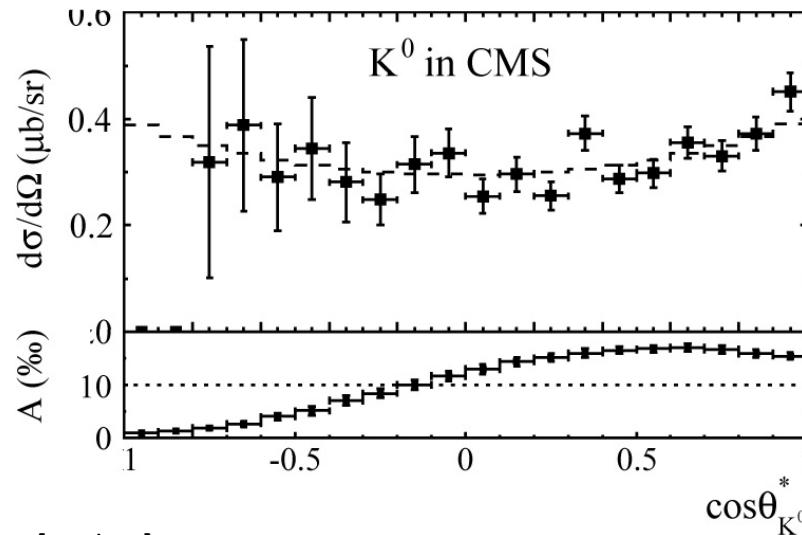
Acceptance & Efficiency Correction

- Monte Carlo simulation of 13 K^0 production channels for p+p @ 3.5 GeV (91% of σ_{tot})
- Angular distribution used for $\Sigma^+ p K^0$ channel
→ measured angular distribution from COSY-TOF studies of the same reaction at $E_{kin} = 2.26$ GeV
- p+Nb: UrQMD simulations

Largest contributions:

Reaction	σ [μb]
$p + p \rightarrow \Sigma^+ + p + K^0$	21.29
$p + p \rightarrow \Lambda + p + \pi^+ + K^0$	18.40
$p + p \rightarrow \Sigma^0 + p + \pi^+ + K^0$	12.38

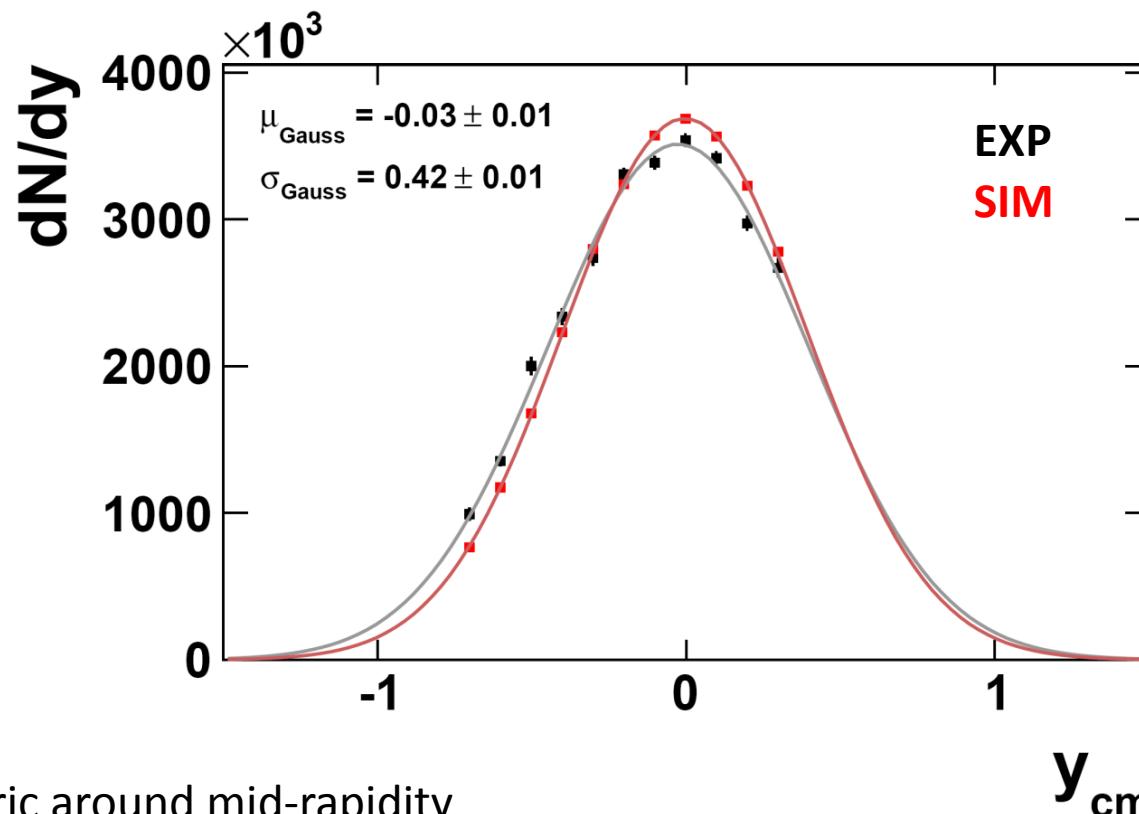
+ other minor channels



Abdel-Bary et al., arXiv:1202.4108v1 [nucl-ex]

dN/dy in p+p

HADES: p+p @ 3.5 GeV



→ symmetric around mid-rapidity

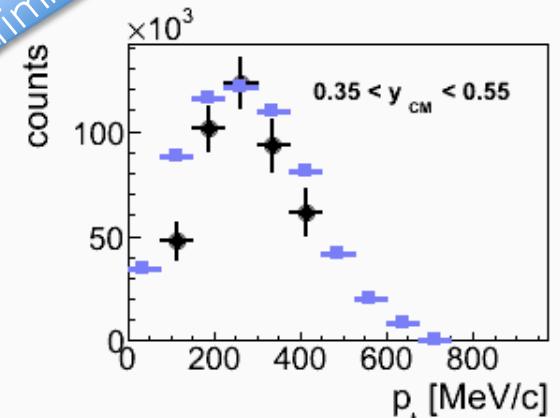
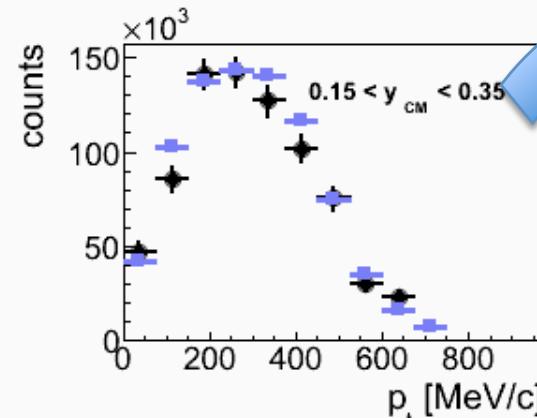
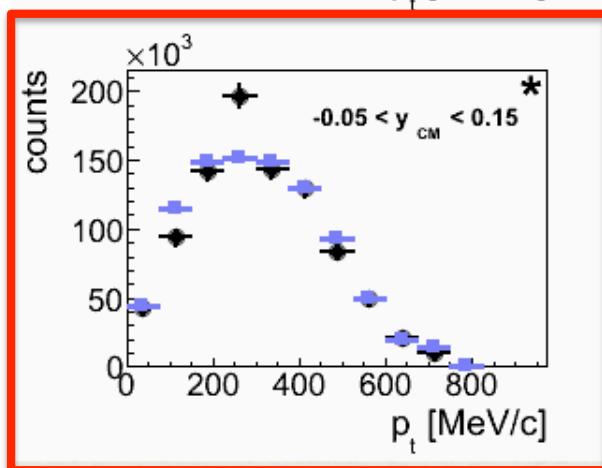
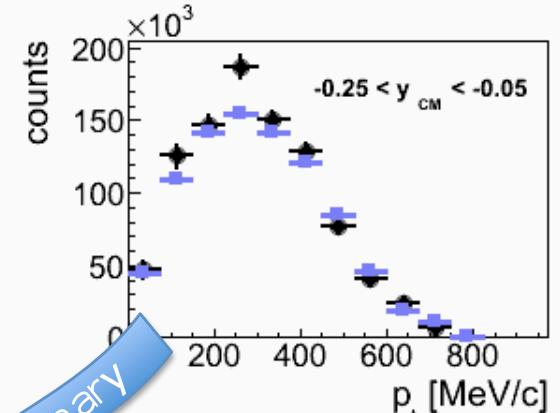
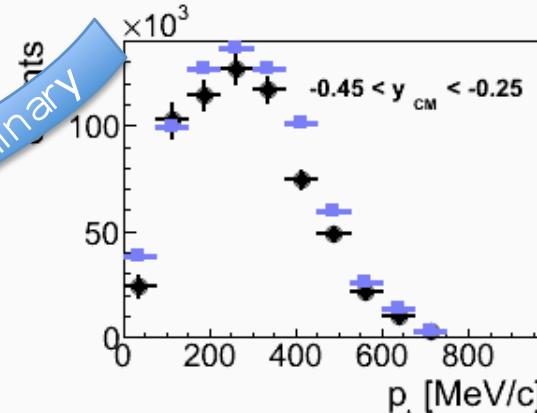
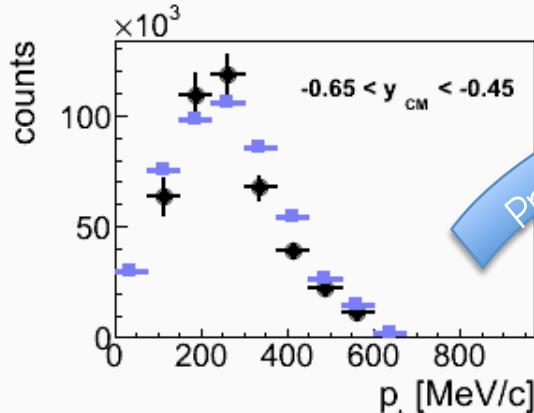
→ experimental data favors more anisotropy

$$\sigma_{\text{tot}}^{K_s^0} = 41.209 \pm 0.509(\text{stat}) \mu\text{b} \rightarrow \sigma_{\text{tot}}^{K_s^0} = 2/\sigma_{\text{tot}}^{K_s^0} = 82.418 \pm 1.018(\text{stat}) \mu\text{b}$$

p+p@3.5GeV: Exp vs GiBUU

3.5 GeV kinetic energy is too high for UrQMD and HSD!!

HADES: p+p @ 3.5 GeV



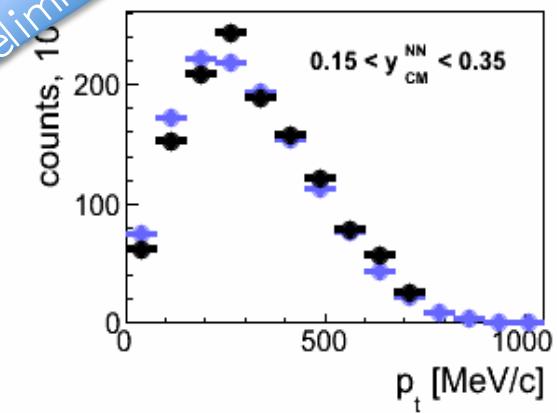
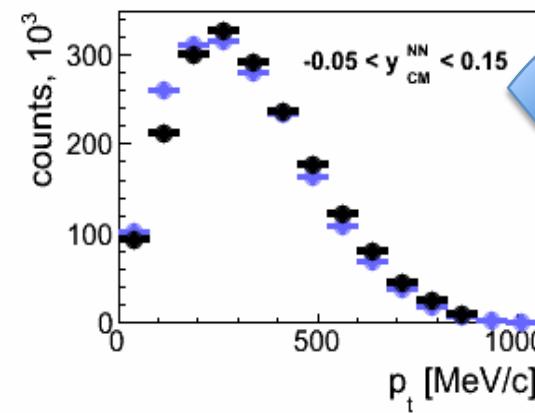
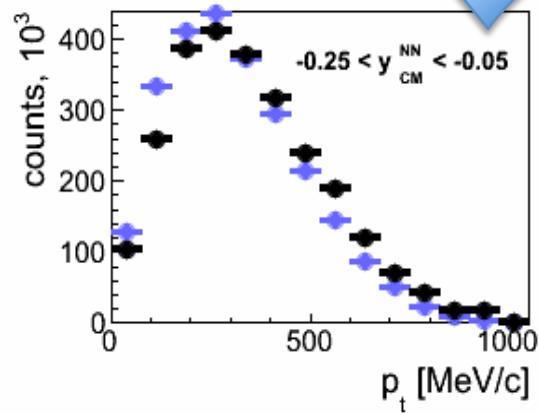
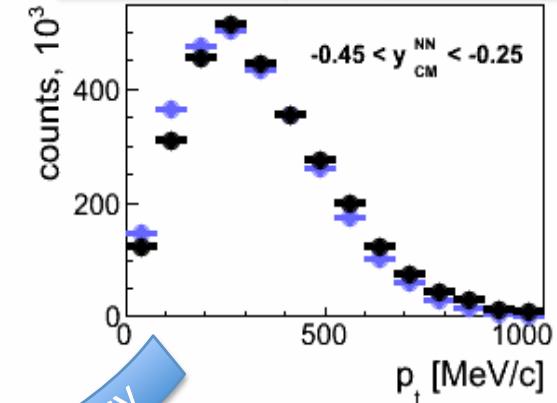
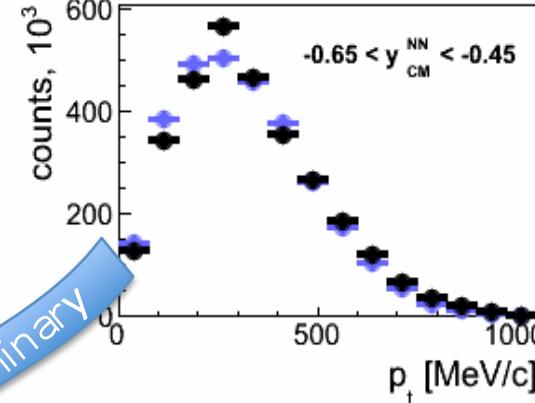
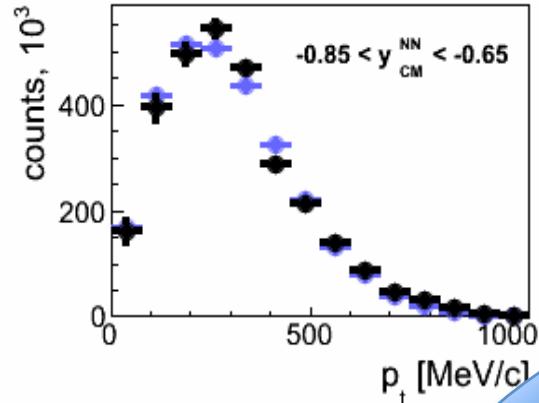
$$p + p \rightarrow \Sigma^+ + p + K^0 \quad \sigma = 21.29 \text{ } \mu\text{b}$$

$$p + p \rightarrow \Lambda + p + \pi^+ + K^0 \quad \sigma = 18.40 \text{ } \mu\text{b}$$

$$p + p \rightarrow \Sigma^0 + p + \pi^+ + K^0 \quad \sigma = 12.38 \text{ } \mu\text{b}$$

Normalized to the mid-rapidity bin

p+Nb@3.5Gev:Exp vs GiBUU



Preliminary

Preliminary

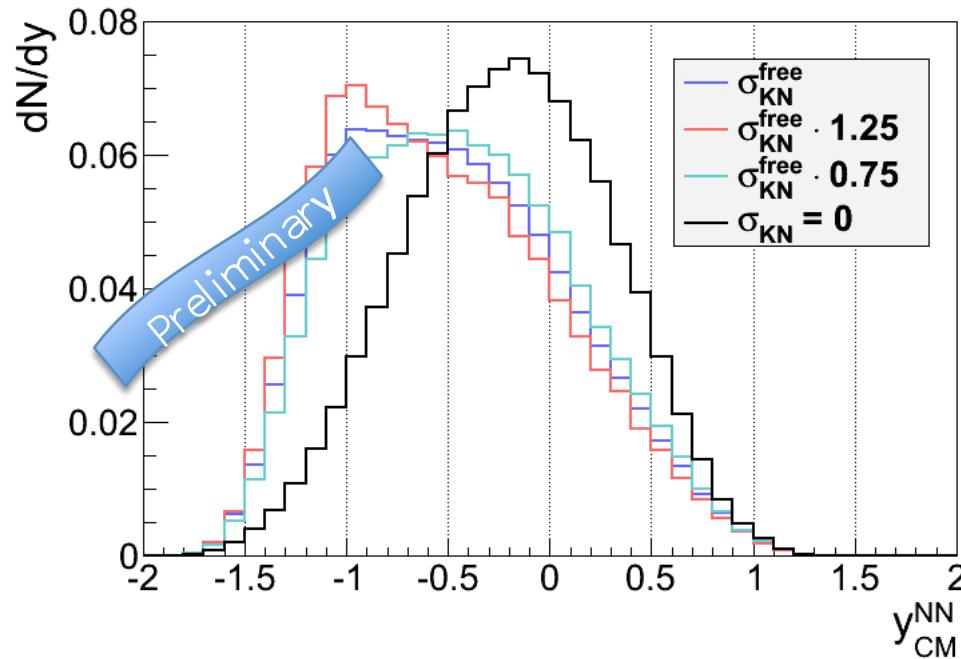
Systematic overestimation of the low p_T region-> Effect of the repulsive potential

Issue of the K0-Nucleon scattering cross-section: Does this influence the p_T distribution

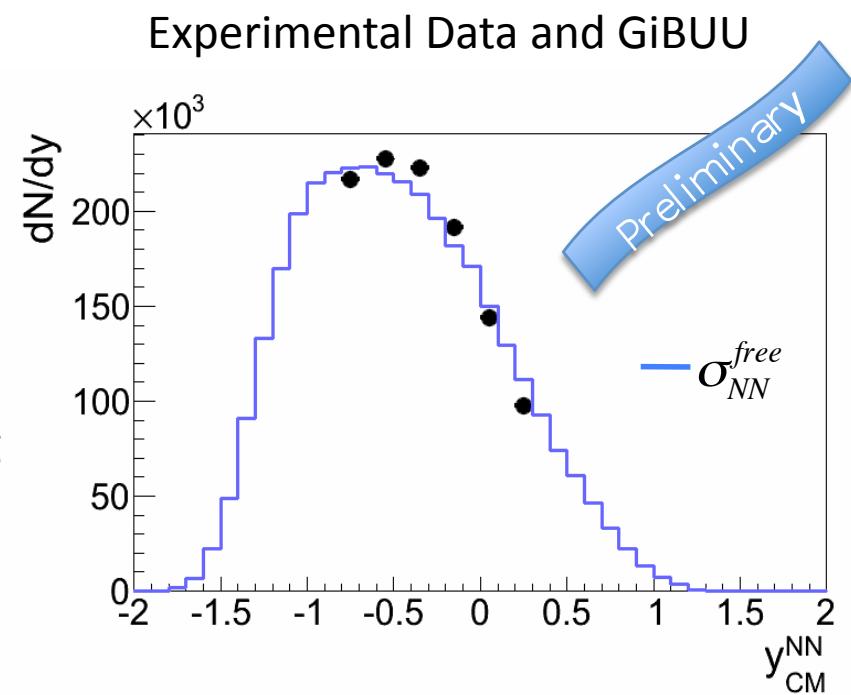
p+Nb: Rapidity Distribution

HADES: p+Nb @ 3.5 GeV

GiBUU with different KN cross sections

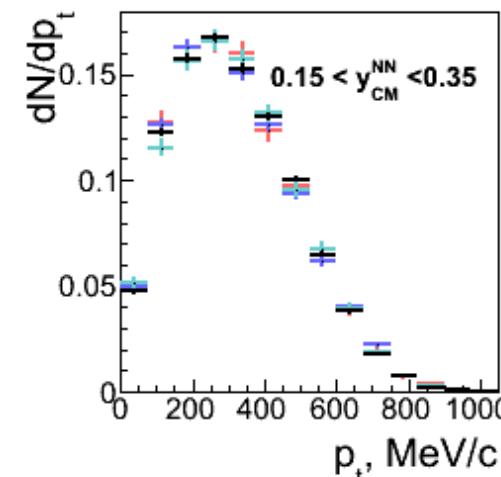
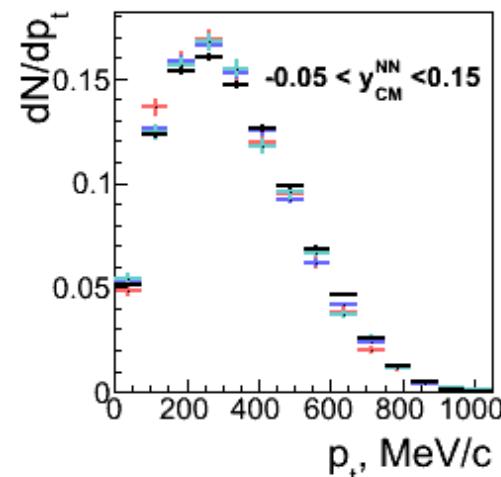
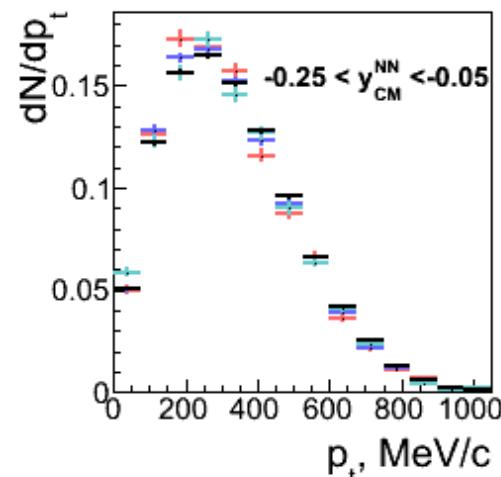
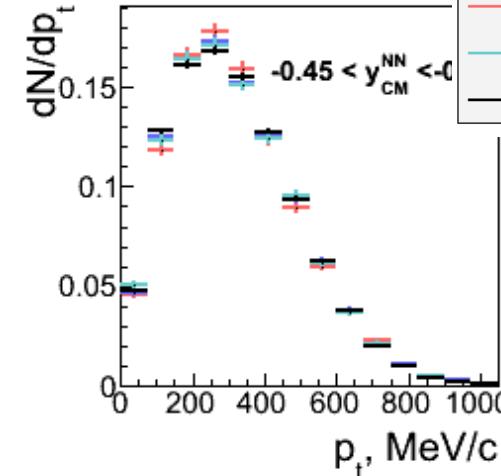
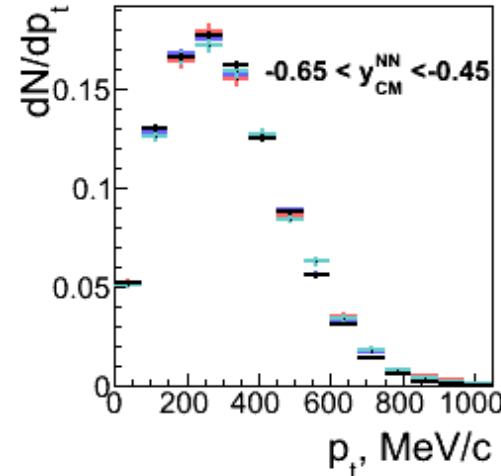
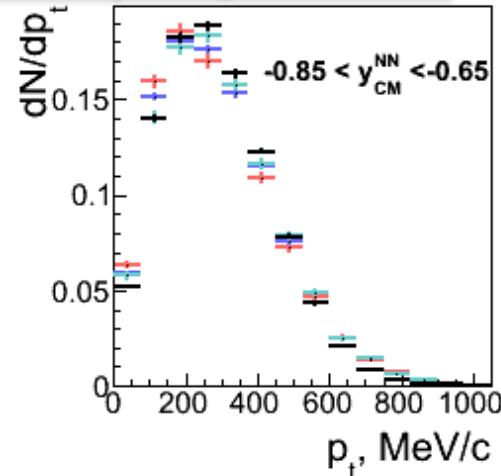


- Strong backward shift due to the KN scattering
- Which is the influence of the potential?



p+Nb: KN scattering and p_T Distributions

HADES: p+Nb @ 3.5 GeV



Spectra normalized to the same area

No dependency of the pT spectra upon the KN scattering

-> p_T is a good observable to quantify the effect of the repulsive potential

Summary and Outlook

- Ar+KCl : IQMD model used to describe the data
 - a) Pions reproduced within 15%
 - b) K^0_S P_T distributions are compatible with **$U \sim 40 \text{ MeV}$**
- p+p: Pluto Cocktail used to calculate corrections
GiBUU model used to describe the data
 - a) p+p well reproduced: Reference
- p+Nb: GiBUU comparison
 - a) No Potential effects are yet included in the GiBUU code
 - b) K^0_S Rapidity density distribution depends upon the KN scattering cross-section and probably from the KN potential
 - c) K^0_S PT distributions are not sensitive to the KN scattering cross-section!

To do: Implement the KN potential in the GiBUU code

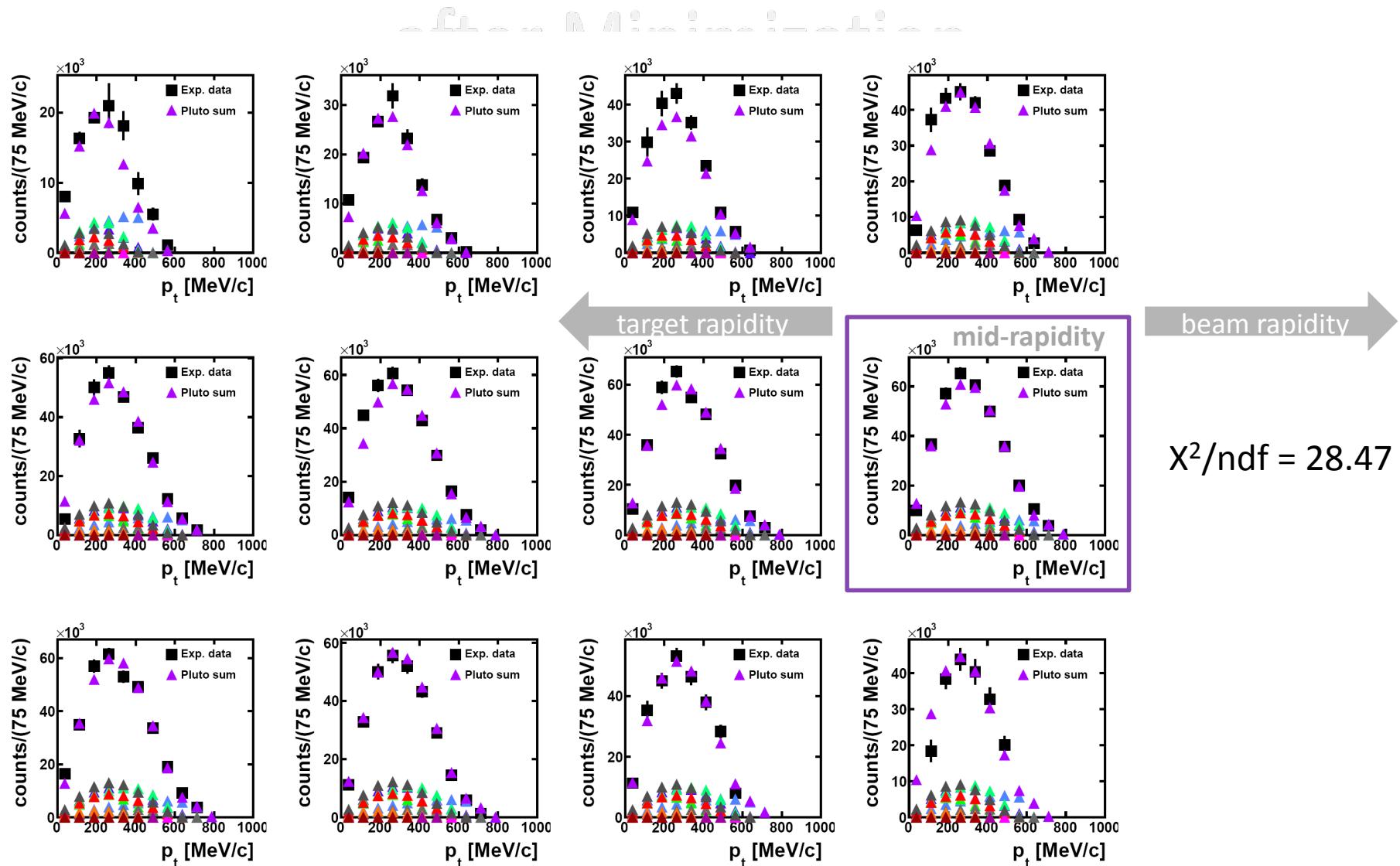
Simultaneous Fit of All Channels to 12 exp. p_t -y Distributions

Start parameter for minimization:

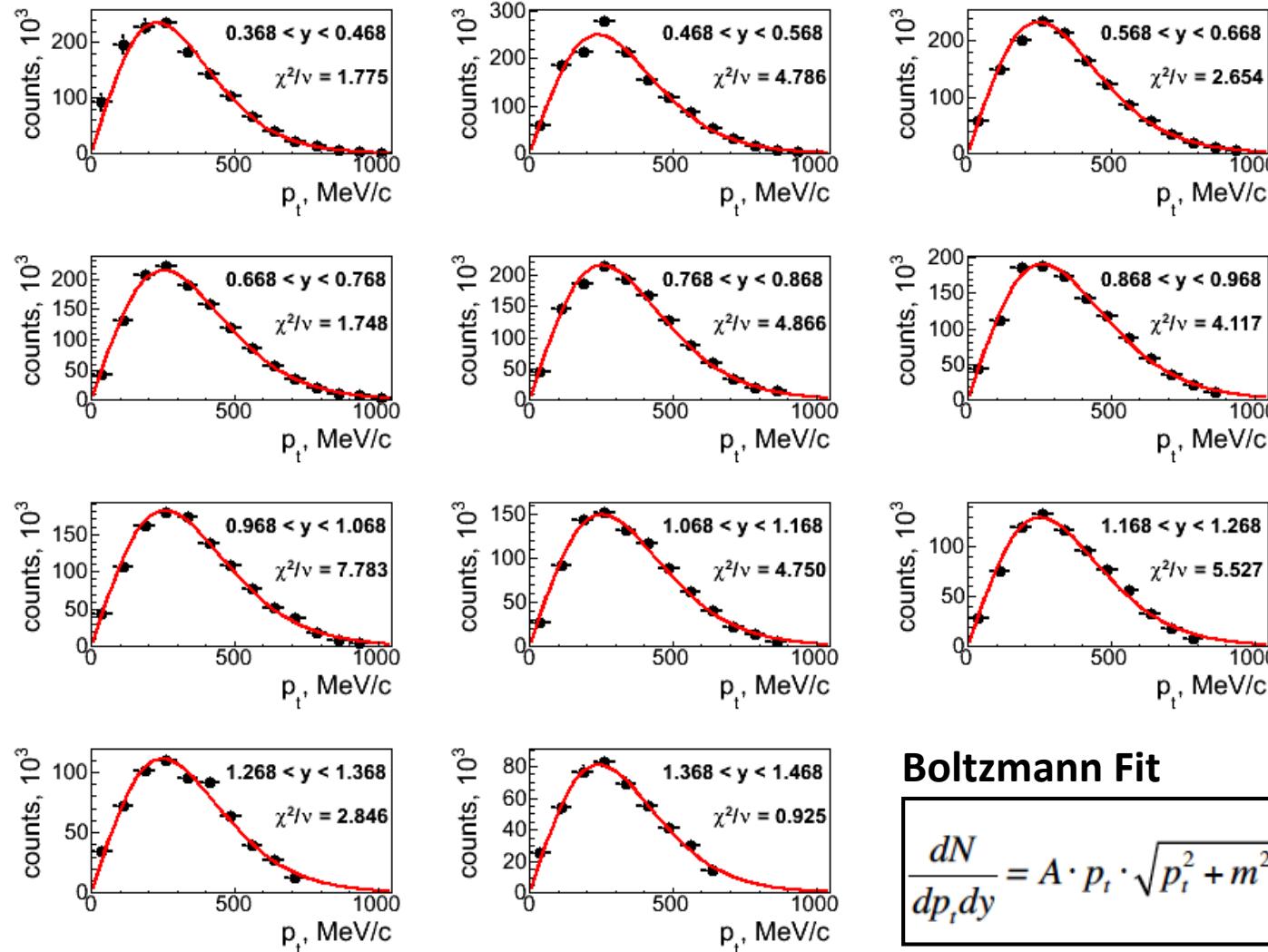
Scaling factors ($\sigma_{ch} \cdot f_{norm}(y_{cm})$) used for PLUTO-Exp comparision

Constraints: $p + p \rightarrow \Lambda + p + \pi^+ + K^0 \leq p + p \rightarrow \Sigma^+ + p + K^0$

$$p + p \rightarrow \Lambda + p + \pi^+ + K^0 \geq \left\{ \begin{array}{l} p + p \rightarrow \Sigma^0 + p + \pi^+ + K^0 \\ p + p \rightarrow \Lambda + \Delta^{++} + K^0 \\ p + p \rightarrow p + n + K^+ + K^0 \\ p + p \rightarrow \Sigma(1385)^+ + p + K^0 \\ p + p \rightarrow \Lambda + n + \pi^+ + \pi^+ + K^0 \\ p + p \rightarrow \Sigma^+ + n + \pi^+ + K^0 \\ p + p \rightarrow \Lambda + p + \pi^+ + \pi^0 + K^0 \\ p + p \rightarrow \Sigma^+ + p + \pi^0 + K^0 \\ p + p \rightarrow \Sigma^- + p + \pi^+ + \pi^+ + K^0 \\ p + p \rightarrow \Sigma^+ + p + \pi^+ + \pi^- + K^0 \\ p + p \rightarrow p + p + \pi^+ + K^- + K^0 \end{array} \right.$$



Boltzmann Fits



Boltzmann Fit

$$\frac{dN}{dp_t dy} = A \cdot p_t \cdot \sqrt{p_t^2 + m^2} \cdot \exp\left(-\frac{\sqrt{p_t^2 + m^2}}{T_B}\right)$$