

# Asymmetry Dependence of the Nuclear Caloric Curve

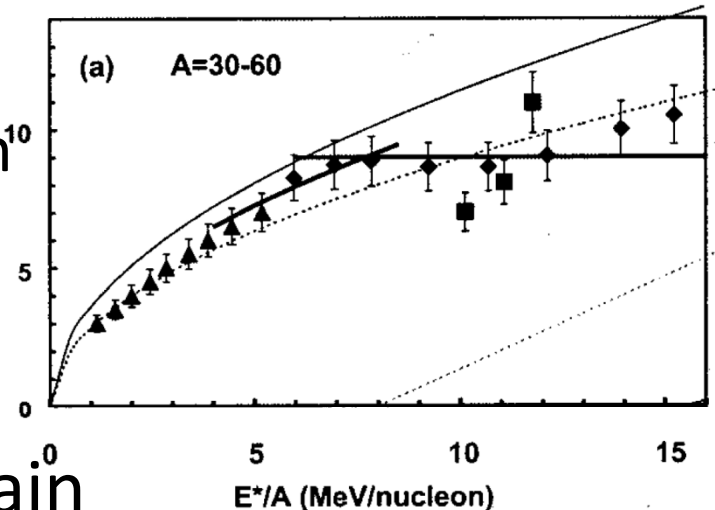
- Nuclear Caloric Curve: Background & Motivation
- The Measurement: Reconstructing Highly Excited Nuclei & Extracting Their Temperatures
- Result: Temperature Decreases Linearly with Increasing Asymmetry
- Summary

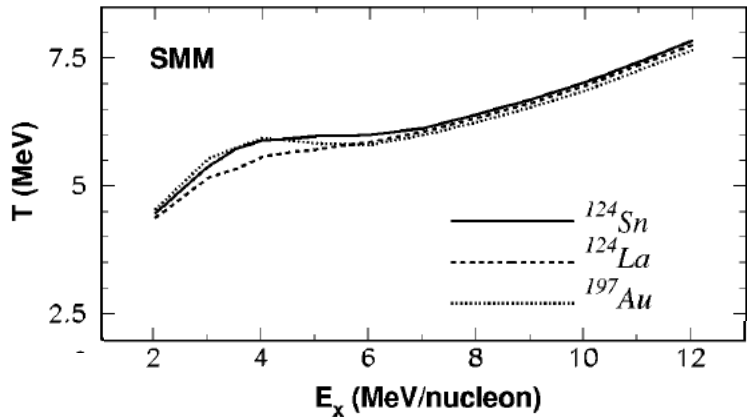
A.B. McIntosh, A. Bonasera, Z. Kohley, S. Galanopoulos, K. Hagel, L.W. May, P. Marini, D.V. Shetty, W.B. Smith, S.N. Soisson, G.A. Souliotis, B.C. Stein, R. Tripathi, S. Wuenschel, S.J. Yennello

Department of Energy & Robert A Welch Foundation

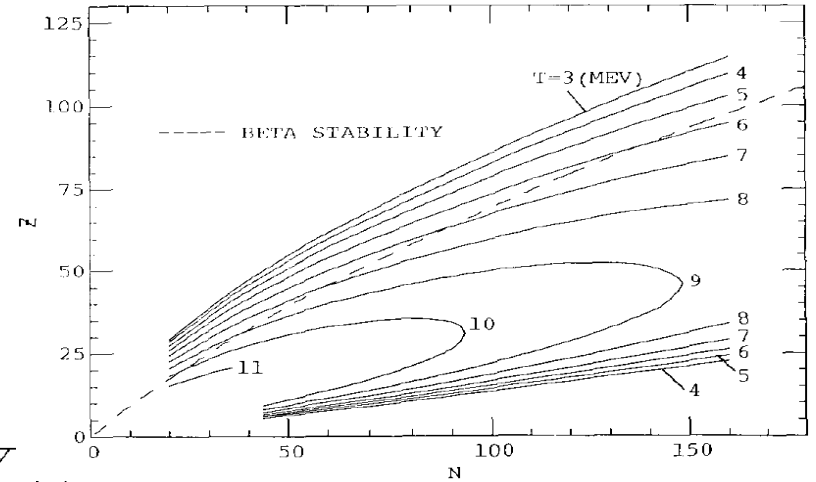
# The Nuclear Caloric Curve

- Essential Piece of Nuclear Equation of State:  $T$  vs  $E^*/A$
- Search for & Study of “Phase” Transition
  - Evaporation to Multifragmentation<sup>10</sup>
- Mass Dependence
  - Natowitz et al., Phys.Rev.Lett. **64**, 034618 (2002)
- Asymmetry Dependence Uncertain
  - Conflicting Theoretical Predictions
  - Very Limited Experimental Data

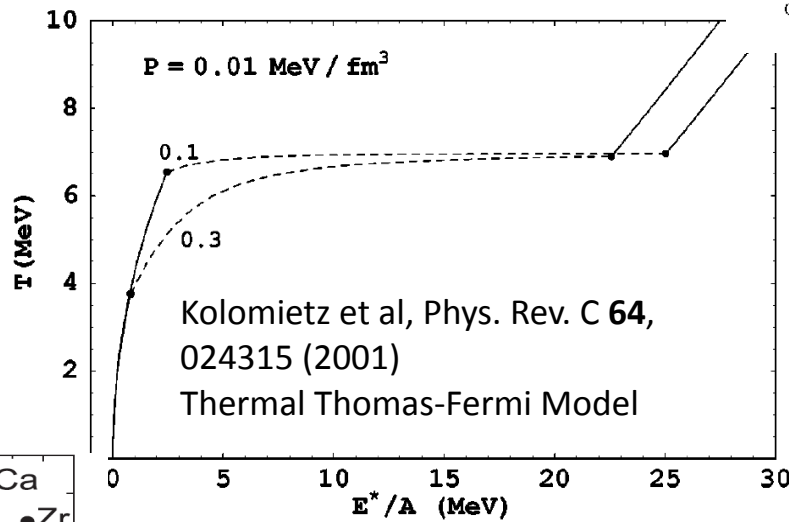




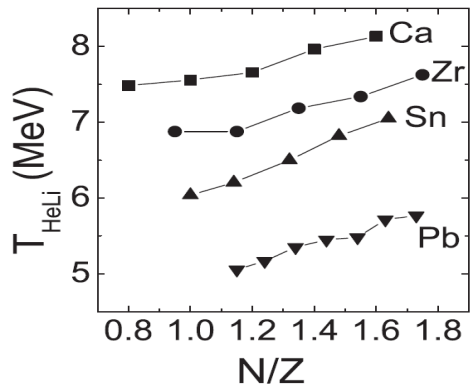
Ogul & Botvina, Phys. Rev. C **66**, 051601 (2002)  
Statistical Multifragmentation Model



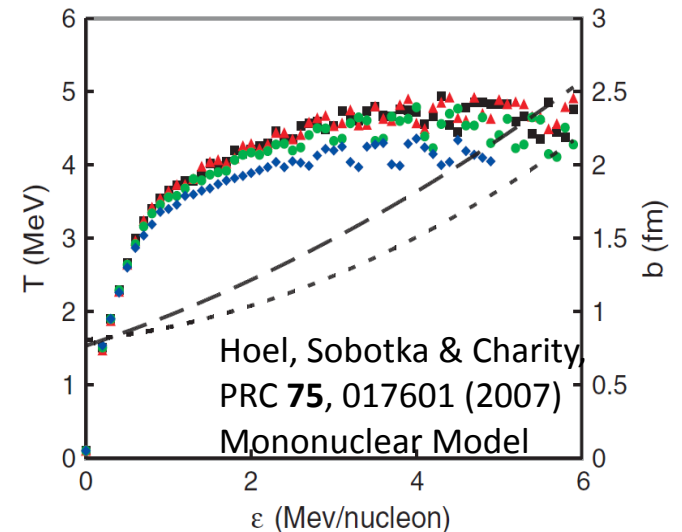
Besprosvany & Levit Phys. Lett B **217**, 1 (1989)  
Hot Liquid Drop Model



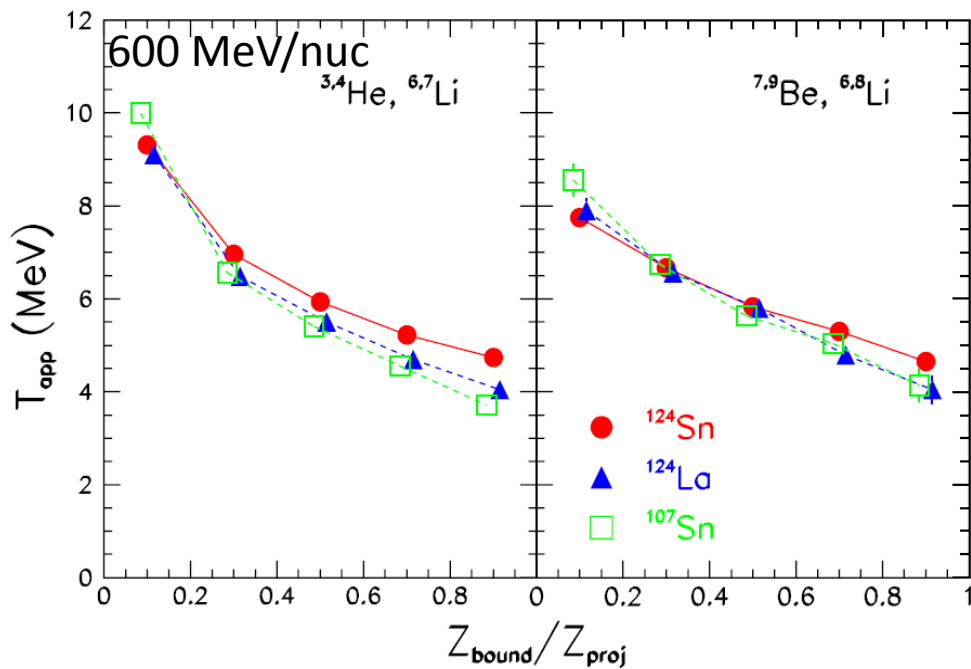
Kolomietz et al, Phys. Rev. C **64**, 024315 (2001)  
Thermal Thomas-Fermi Model



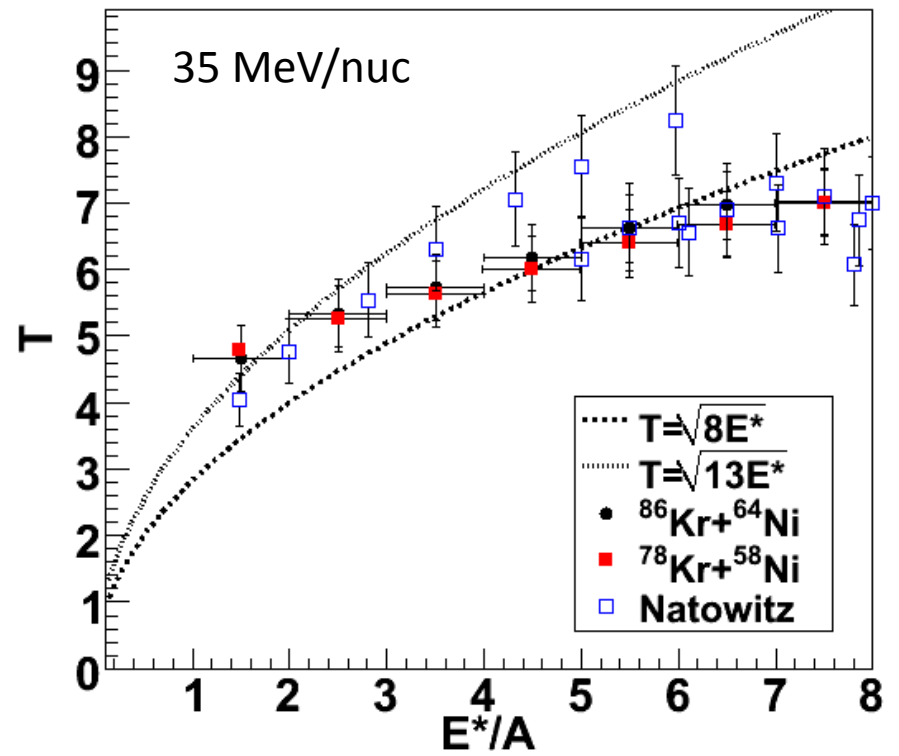
Su & Zhang, Phys. Rev. C **84**, 037601 (2011)  
Isospin-Dependent Quantum Molecular Dynamics



Hoel, Sobotka & Charity, PRC **75**, 017601 (2007)  
Mononuclear Model



Sfienti et al., PRL **102**, 152701  
(2009)

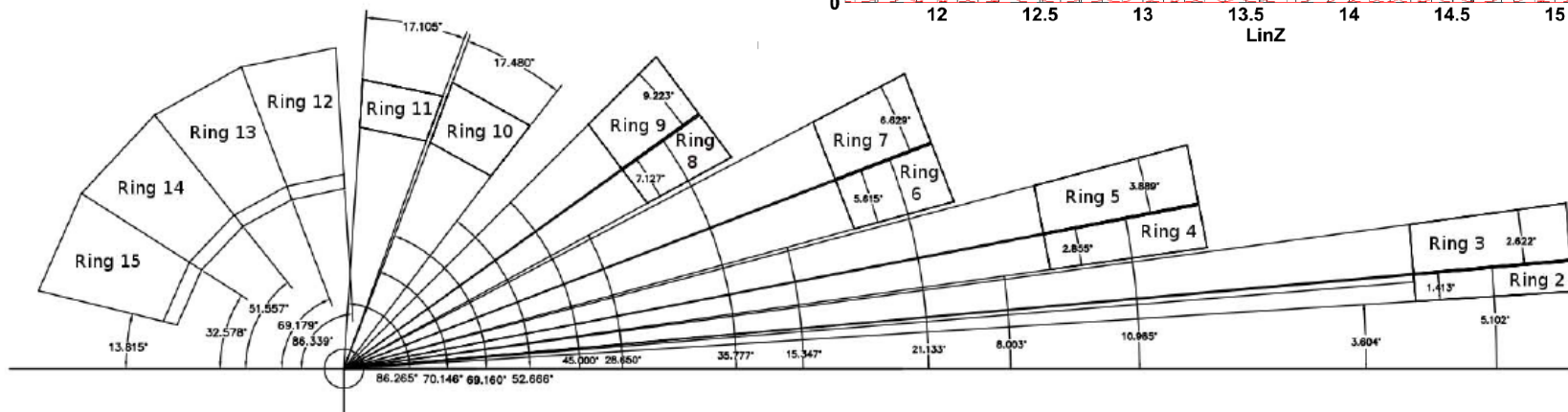
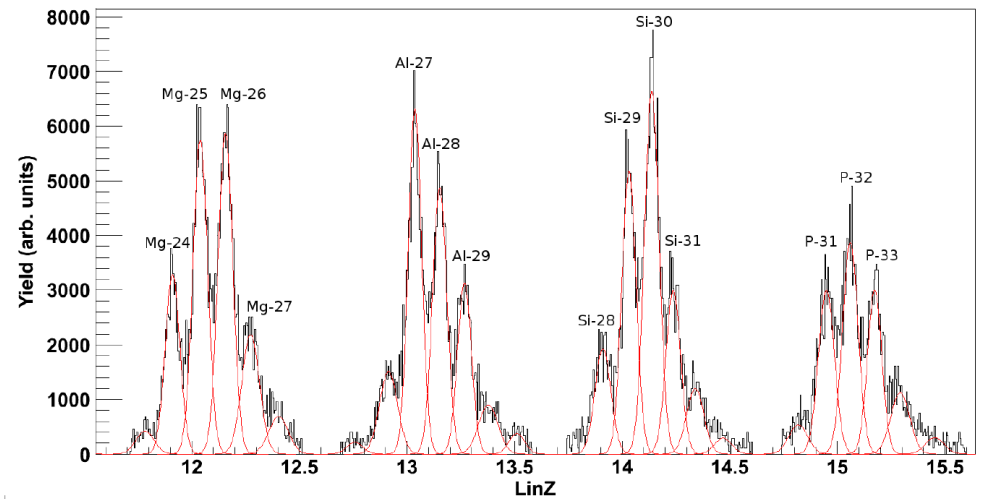
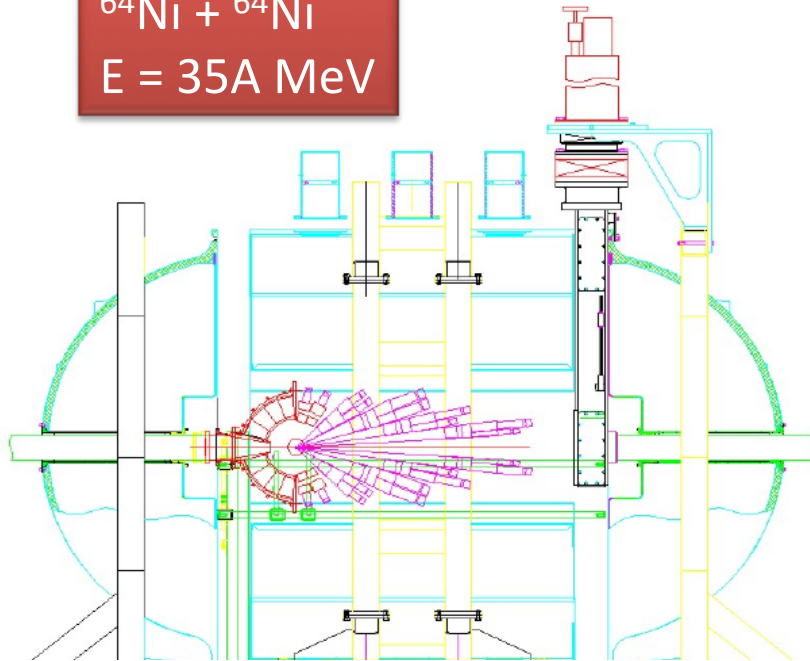


S. Wuenschel, PhD thesis, 2009

$^{70}\text{Zn} + ^{70}\text{Zn}$   
 $^{64}\text{Zn} + ^{64}\text{Zn}$   
 $^{64}\text{Ni} + ^{64}\text{Ni}$   
 $E = 35\text{A MeV}$

# NIMROD-ISiS Array

- Full Silicon Coverage ( $4\pi$ )
- Isotopic Resolution to  $Z=17$
- Elemental Resolution to  $Z_{\text{projectile}}$
- Neutron Ball ( $4\pi$ )



# Event Selection & QP definition

Remove particles that clearly do not belong (on average) to a statistically emitting projectile-like source

$$Z = 1: 0.35 \leq v_z/v_{z,PLF} \leq 1.65$$

$$Z = 2: 0.40 \leq v_z/v_{z,PLF} \leq 1.60$$

$$Z \geq 3: 0.55 \leq v_z/v_{z,PLF} \leq 1.45$$

Select events with a well-measured QP:

$$48 \leq \sum_i^{CP} A_i + M_n \leq 52$$

Select events with near-zero average momentum quadrupole.

$$-0.3 \leq \log Q \leq 0.3$$

$$Q = \frac{\sum p_{z,i}^2}{\frac{1}{2} \sum p_{T,i}^2}$$

S. Wuenschel et al., PRC79, 061602 (2009)

J.C. Steckmeyer et al., NPA686, 537 (2001)

$$\text{Identity} \quad Z_{QP} = \sum_i^{CP} Z_i \quad A_{QP} = \sum_i^{CP} A_i + M_n$$

$$\text{Reference Frame} \quad \vec{v}_{QP} m_{QP} = \sum_i^{CP} \vec{v}_i m_i$$

$$\text{Excitation} \quad E_{QP}^* = \sum_i^{CP} \frac{3}{2} K_{\perp,i} + M_n \langle K_n \rangle - Q$$

## Strength of the Measurement

- Excellent isotopic resolution
- $4\pi$  charged particle detection
- Neutron multiplicity measurement
- Excellent energy resolution

→ Well defined quasi-projectile source

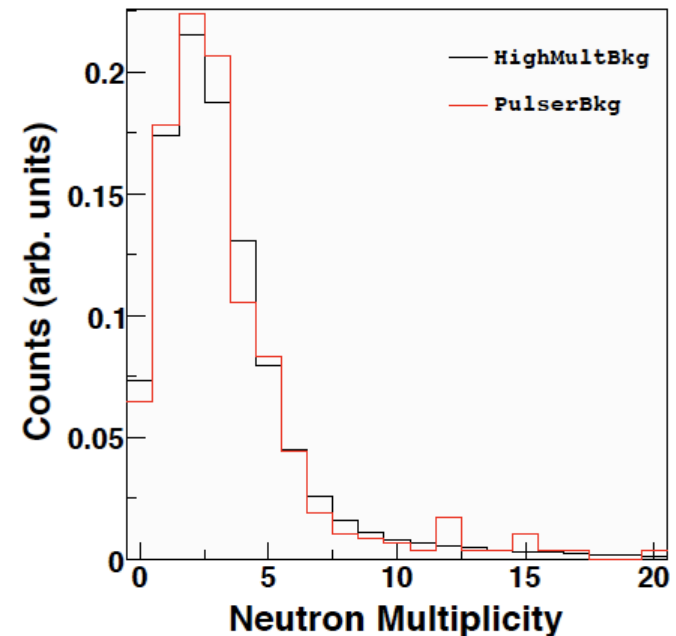
# Free Neutrons

- Used HIPSE-SIMONE[1] to link  $M_{\text{exp}}$  to  $M_{\text{QP}}$

$$Mult_{QP} = \frac{Mult_{exp} - Mult_{bkg}}{(Eff_{QP} + \frac{N_T}{N_P} Eff_{QT})(.7/.6)}$$

- $Mult_{\text{exp}}$  = neutrons in experimental signal gate
- $Mult_{\text{bkg}}$  = neutrons in experimental background gate
- $Eff_{\text{QP}}$  = fraction of QP source neutrons detected
- $Eff_{\text{QT}}$  = fraction of QT source neutrons detected

1- D. Lacroix et al. PRC 69, 054604 (2004)



# Nuclear Thermometers

## Momentum Quadrupole Fluctuation Temperature

The quadrupole momentum distribution

$$Q_{xy} = p_x^2 - p_y^2$$

Contains information on the temperature through its fluctuations

$$\sigma_{xy}^2 = \int d^3p (p_x^2 - p_y^2)^2 f(p)$$

If  $f(p)$  is a Maxwell-Boltzmann distribution

$$\sigma_{xy}^2 = 4m^2T^2$$

H. Zheng & A. Bonasera, PLB **696**, 178 (2011)

## Albergo Yield Ratio Temperature

$$R = \frac{Y(d)/Y(t)}{Y(^3\text{He})/Y(\alpha)}$$

Account for binding energy differences and spin-degeneracies

$$T_{raw} = \frac{14.3\text{MeV}}{\ln(1.59R)}$$

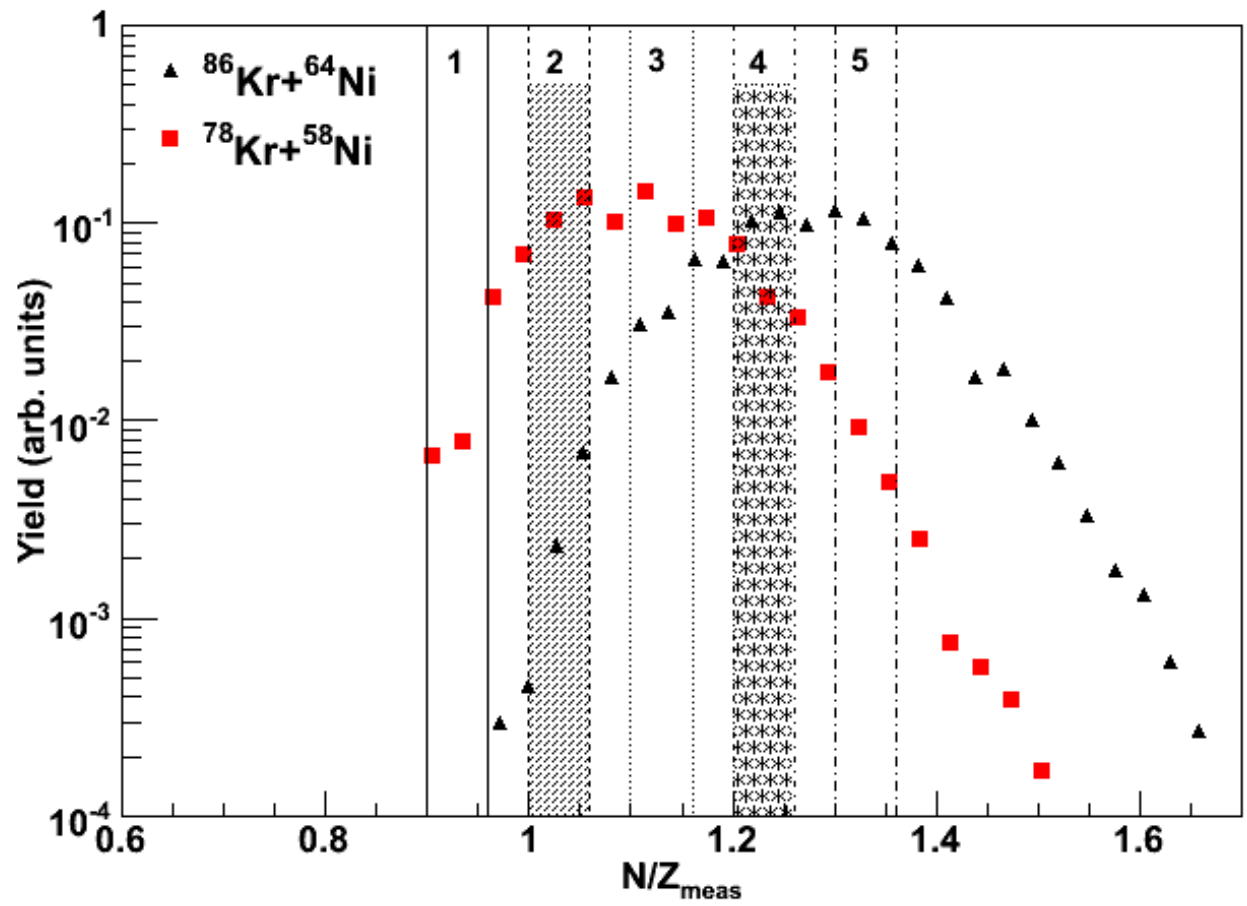
~3% correction for secondary decay

$$T = \frac{1}{\frac{1}{T_{raw}} - 0.0097}$$

S. Albergo et al., Il Nuovo Cimento **89**, 1 (1985)

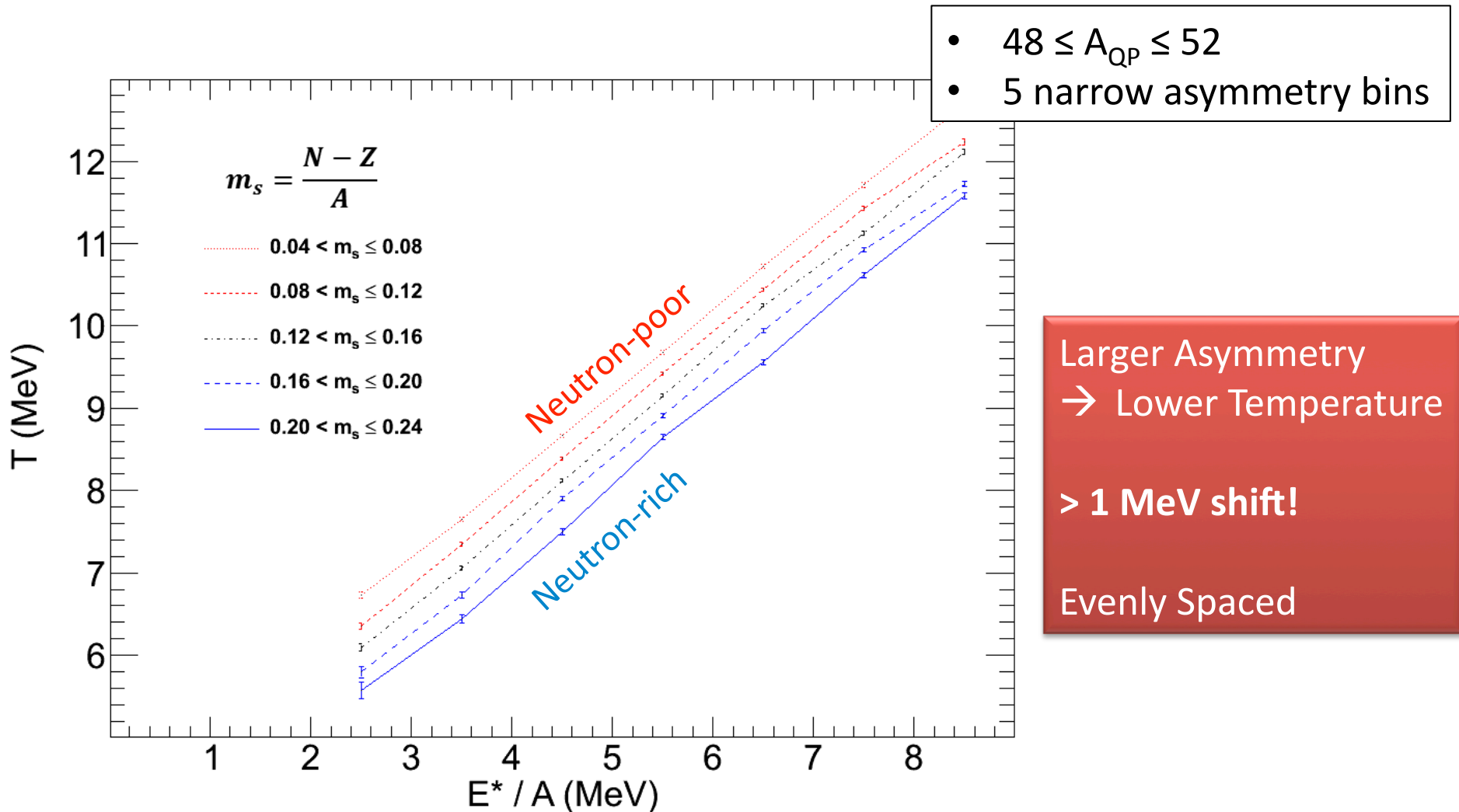


$$\frac{N}{Z_{meas}} = \frac{\sum_i^{M_{cp}} N_i + M_n}{\sum_i^{M_{cp}} Z_i}$$



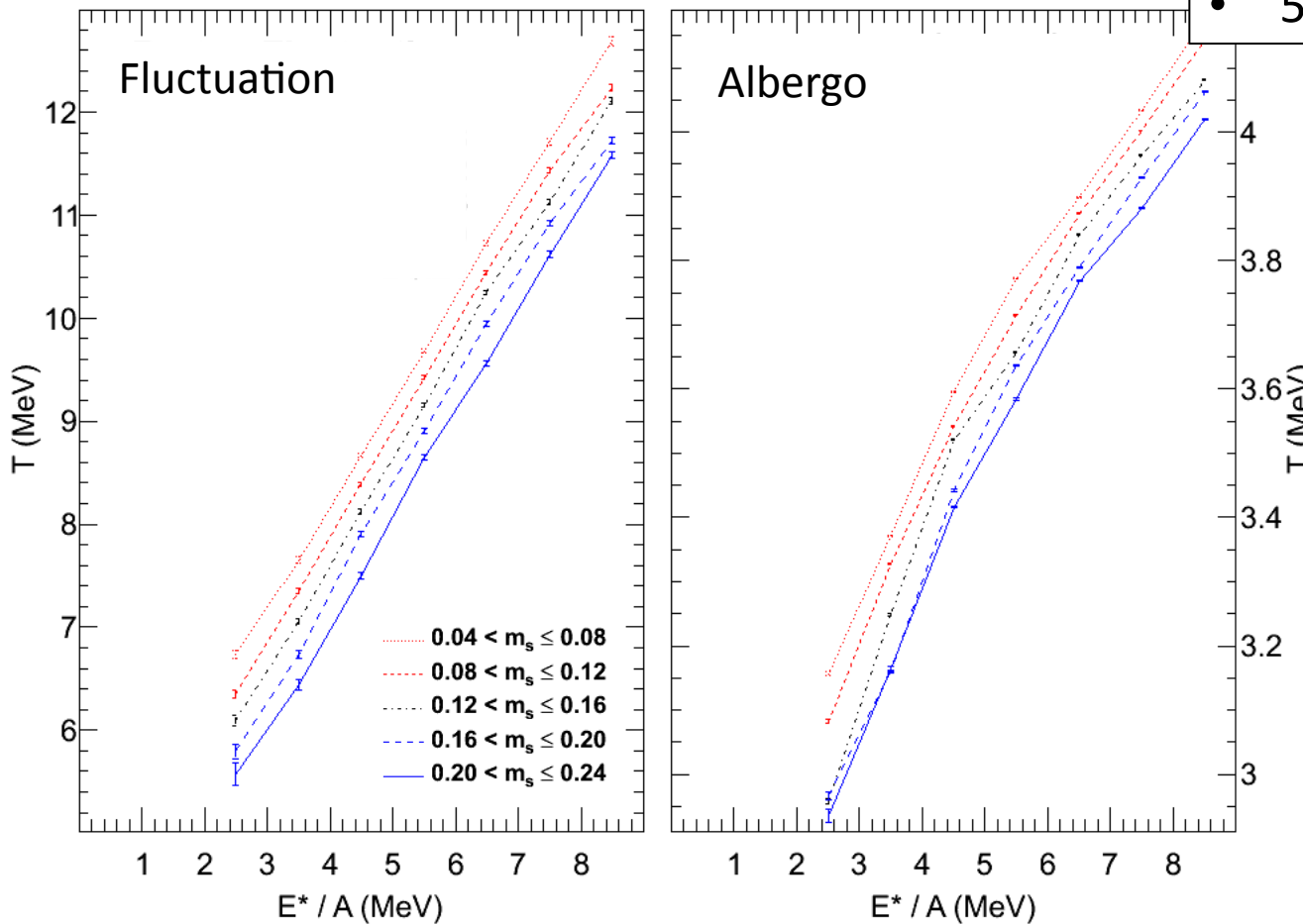
S. Wuenschel, Phys Rev C 79, 061602(R) (2009).

# Fluctuation Temperature



# Fluctuation & Albergo Temperatures

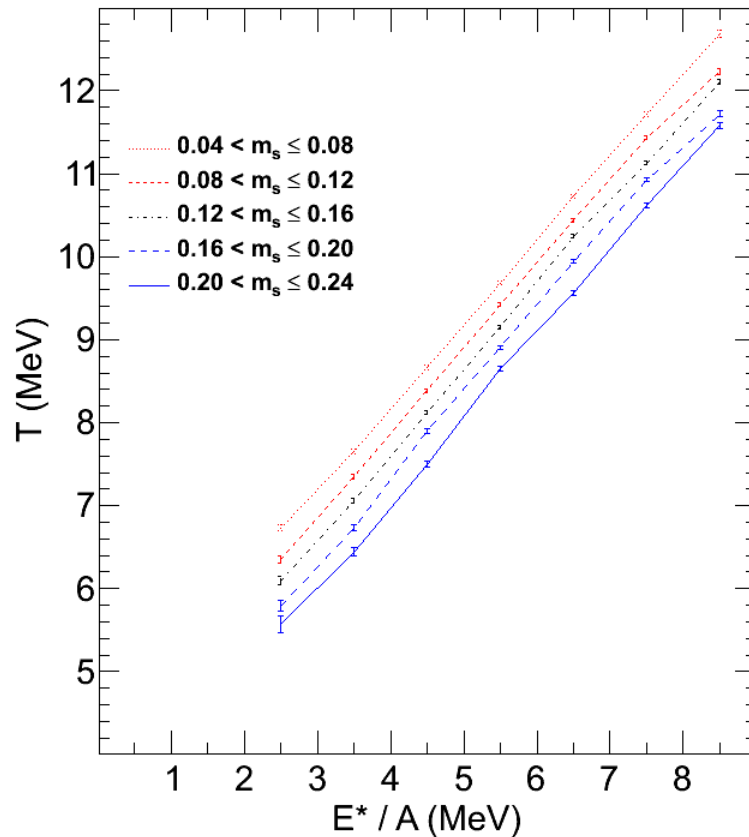
- $48 \leq A_{QP} \leq 52$
- 5 narrow asymmetry bins



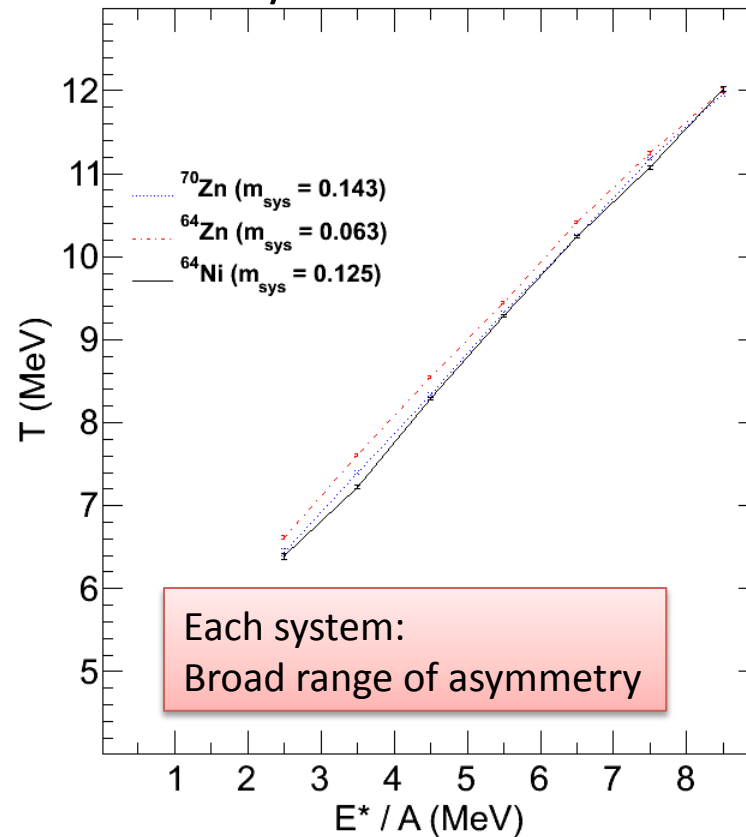
**Both Thermometers:**  
 Larger Asymmetry  
 → Lower Temperature  
 Evenly Spaced

# Importance of Reconstruction

Asymmetry of Isotopically Reconstructed Source



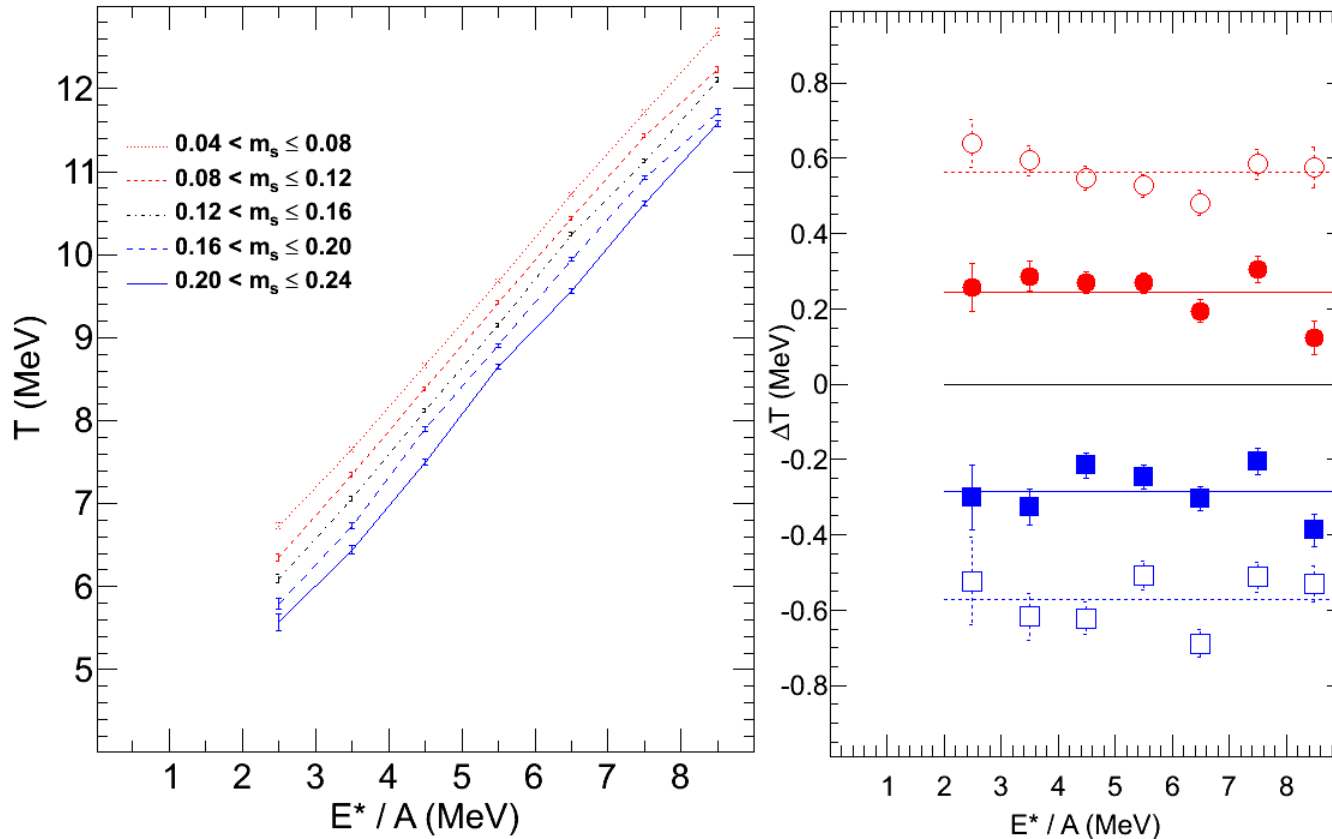
Asymmetry of Initial System



Larger Asymmetry  
 → Lower Temperature  
 Observed either way, but...

Much more pronounced  
 for selection on  
*source* composition

# Excitation Independence

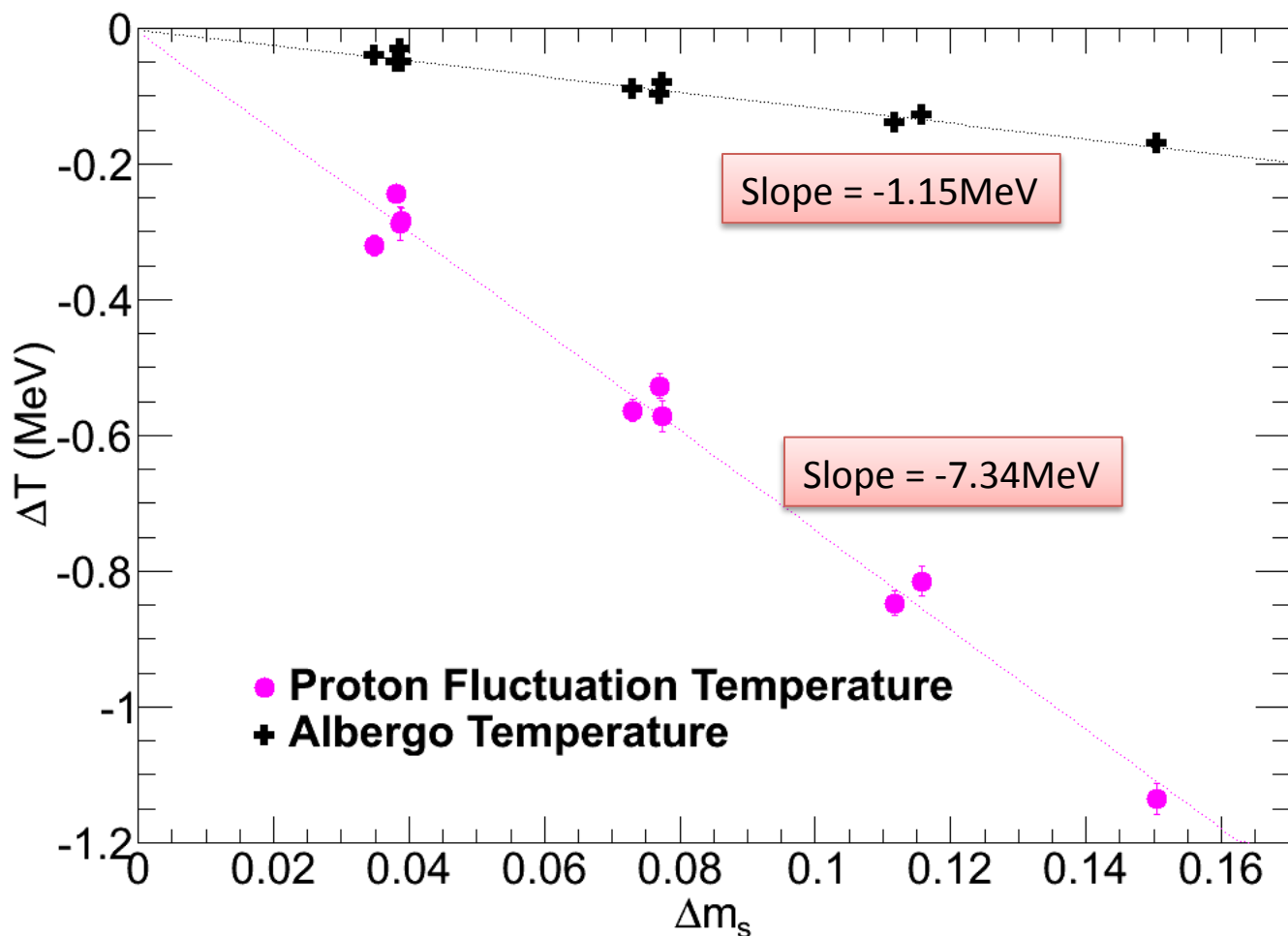


Larger Asymmetry  
 → Lower Temperature

Temperature shift does not show a trend with excitation.

ave

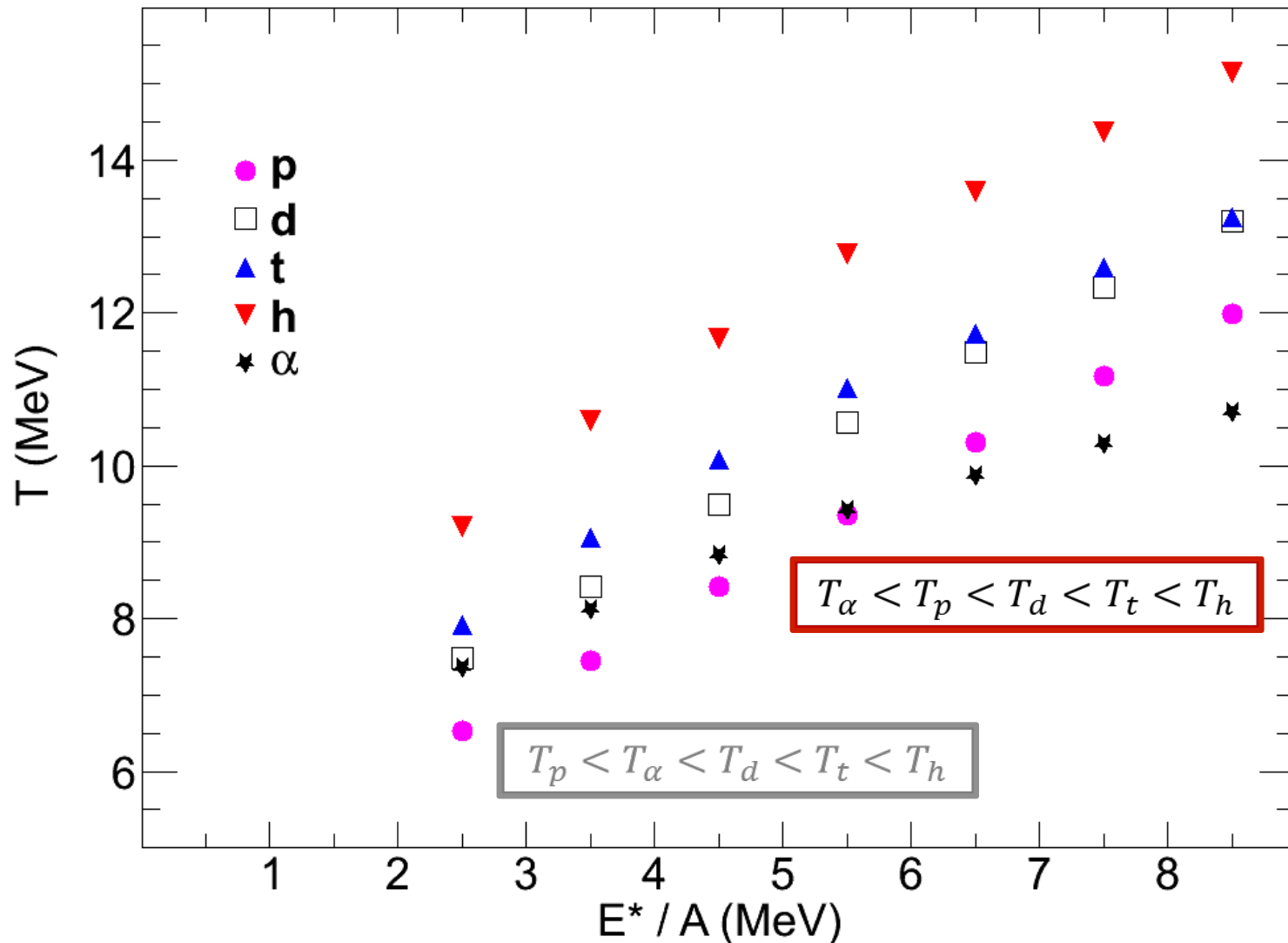
# Asymmetry Dependence of Temperature



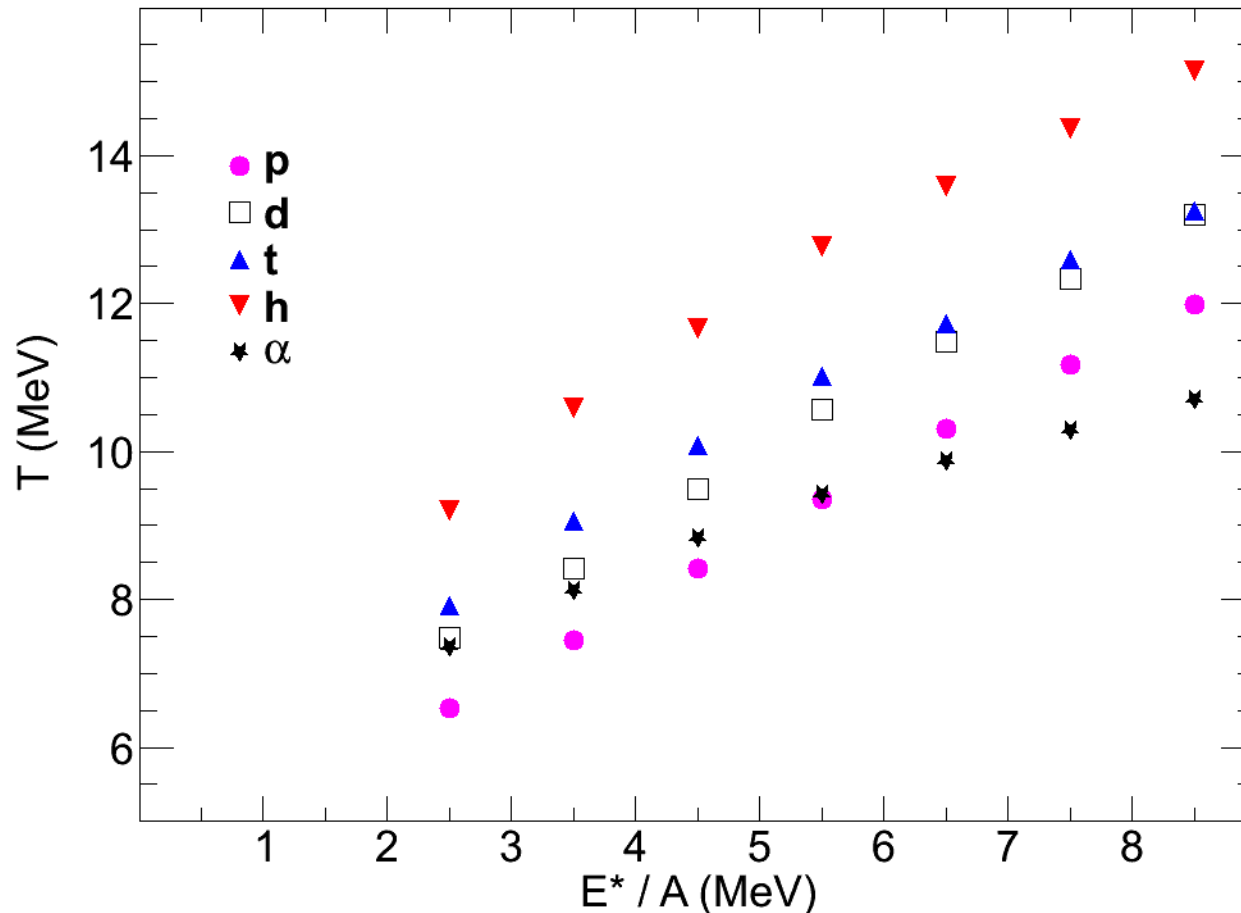
T\_Albergo:  
→  $\Delta T = -0.2 \text{ MeV}$

T\_Fluctuation:  
→  $\Delta T = -1.2 \text{ MeV}$

# Caloric Curves for Light Charged Particles



# Caloric Curves for Light Charged Particles



## Ordering of Temperatures

$$T_\alpha < T_p < T_d < T_t < T_h$$

Expensive Particles:  
Early times  
Highest temperature

## Q-value for emission:

~10MeV for proton, alpha  
~20MeV for triton, helion

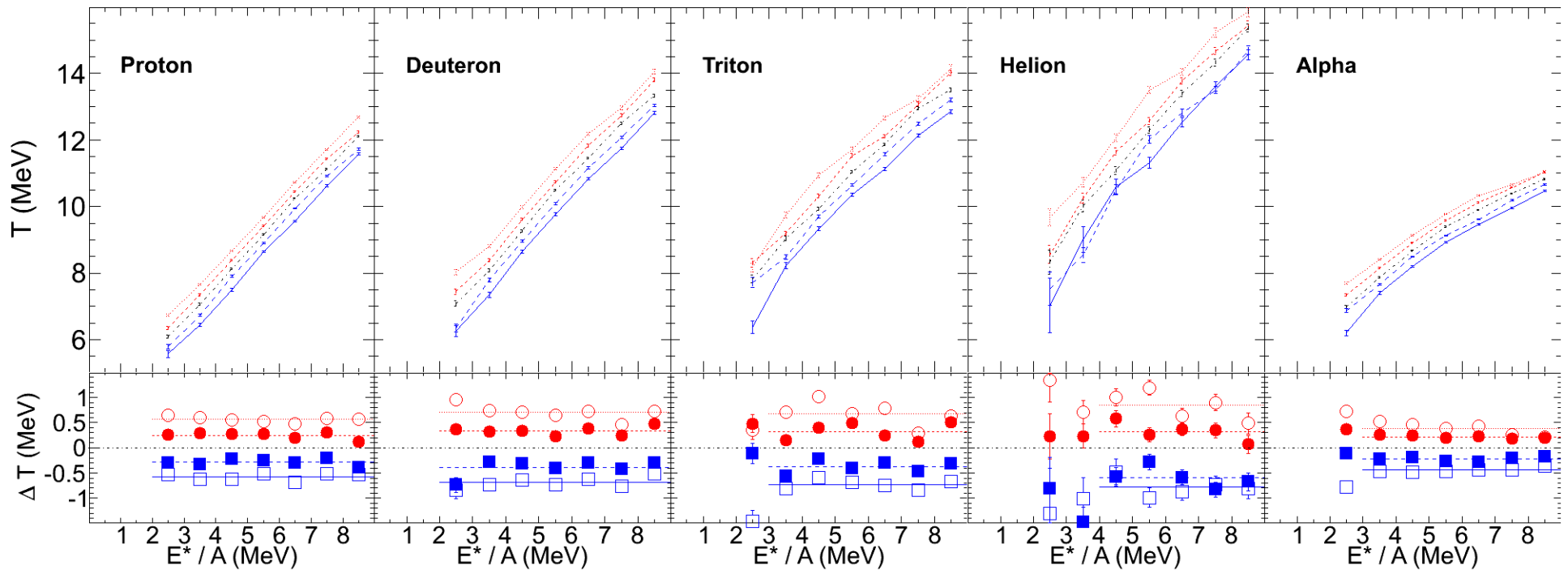
Different particles may also probe regions with different average density.

## Emission Order:

- S. Hudan et al., arXiv 0308031 (2003)
- L. Chen et al., Nucl. Phys. A 729, 809 (2003)
- R. Ghatti et al., Nucl. Phys. A 765, 307 (2006)
- Z. Kohley et al., Manuscript Submitted to PRC (2012)



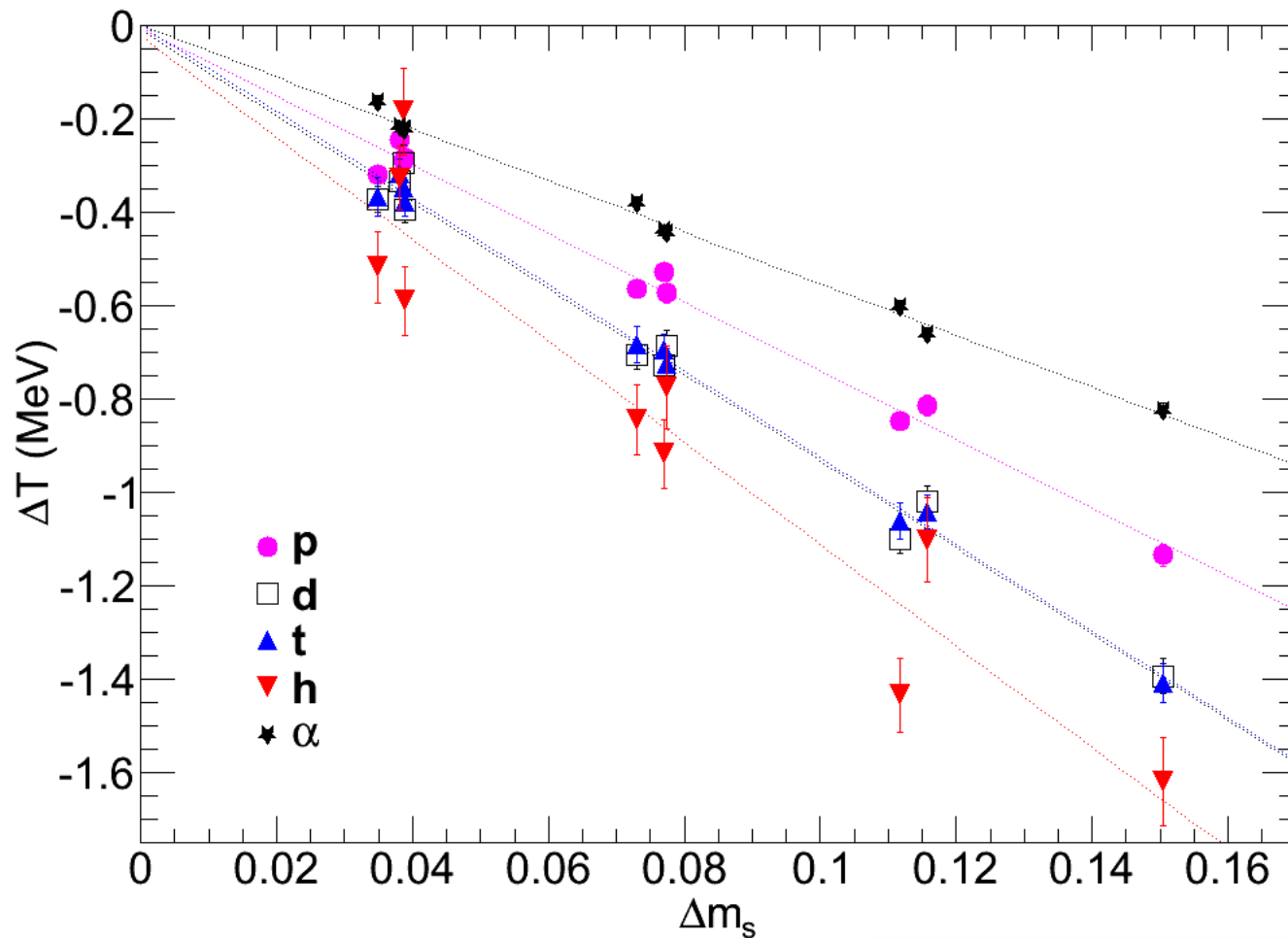
# Caloric Curves for LCPs: Dependence on Composition



For All LCPs:  
Larger Asymmetry  
→ Lower Temperature

Temperature shift does  
not show a trend  
with excitation.

# Asymmetry Dependence of Temperature



$\Delta T / \Delta m_s$	
α:	-5.5
p:	-7.3
d:	-9.2
t:	-9.3
h:	-10.9

Same ordering as  
for temperature:

$$T_\alpha < T_p < T_d < T_t < T_h$$

Strength of correlation:  
Source composition may evolve with time

# Summary

- Nuclear temperature depends on asymmetry
  - ( $\uparrow$  Neutron content)  $\rightarrow$  ( $\downarrow$  Temperature)
  - Linear correlation
  - Seen for 2 thermometers
  - Seen for all light charged particles
- *Source* composition matters, not initial system
  - Intermediate energy
- Excitation: no influence on asymmetry dependence ( $2.5 < E^*/A < 8.5$  MeV)
- Temperature ordering of LCPs
  - Consistent with emission time ordering
  - Impact of local density?