

TAUOLA 2011: two and three pseudoscalar modes in RChT

O. Shekhtsova

together with

T. Przedzinski, P. Roig and Z. Was

arXiv: 1203.3955 [hep-ph]

TAUOLA (Monte Carlo generator for tau decay modes)

Main references (manuals):

1. R. Decker, S.Jadach, M.Jezabek, J.H.Kuhn, Z. Was, Comput. Phys. Commun. 76 (1993) 361, ibid. 70 (1992) 69, ibid. 64 (1990) 275 **CPC** (*reference version*)
2. P. Golonka, B. Kersevan ,T. Pierzchala, E. Richter-Was, Z. Was, M. Worek, Comput. Phys. Commun. 174 (2006) 818, hep-ph/0312240
3. J.H.Kuhn, Z. Was, Acta Phys. Polon. 39 (2008) 47 (5-pions), , hep-ph/0602162
4. A. E. Bondar, S. I. Eidelman, A. I. Milstein, T. Pierzchala, N. I. Root, Z. Was and M. Worek (4 pions), Comput. Phys. Commun. 146 (2002) 139

Also (based on data 1997-1998):

1. Alain Weinstein : http://www.cithec.caltech.edu/~ajw/korb_doc.html#files (*cleo version*)
2. B. Bloch, private communications (*aleph version*) **MOST USED NOWADAYS**

Different intermediate states (because of different detector sensitivity), e.g., $K\pi\pi$ only K^* *cleo*, K^* , ρ *aleph*

Hadronic modes: $\pi\nu_\tau$, $K\nu_\tau$, $2\pi\nu_\tau$, $2K\nu_\tau$, $K\pi\nu_\tau$, $3\pi\nu_\tau$, $KK\pi\nu_\tau$, $K\pi\pi\nu_\tau$, $2\pi\eta\nu_\tau$, $4\pi\nu_\tau$, $5\pi\nu_\tau$

CPC version

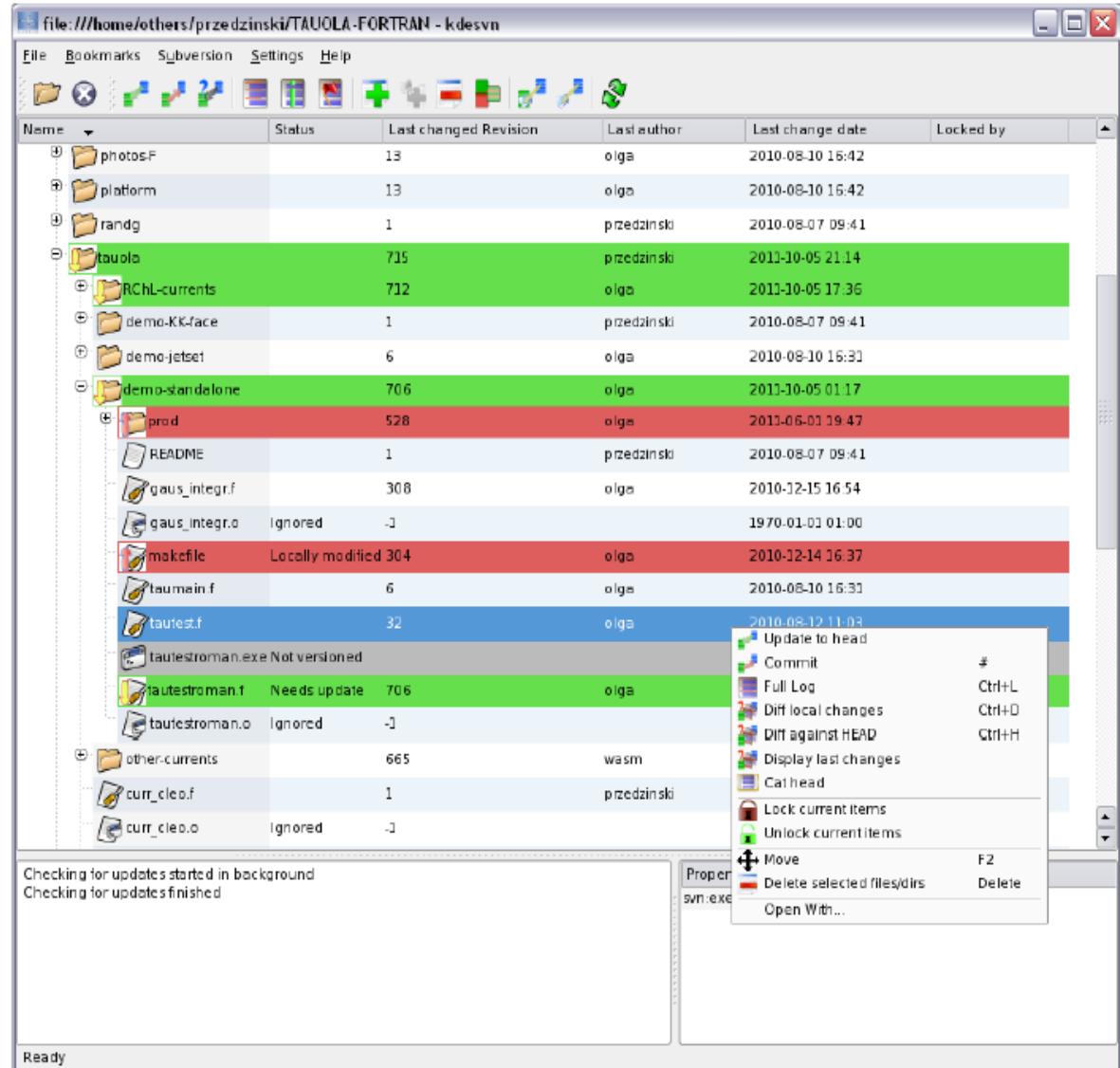
2 pseudoscalar modes written analogous to $2\pi\tau \rightarrow$ normalization not fixed (too small statics 1992), no scalar FF

3 pseudoscalar modes (CPC version) → reproduces LO ChPT limit

Code management

SVN revision control system

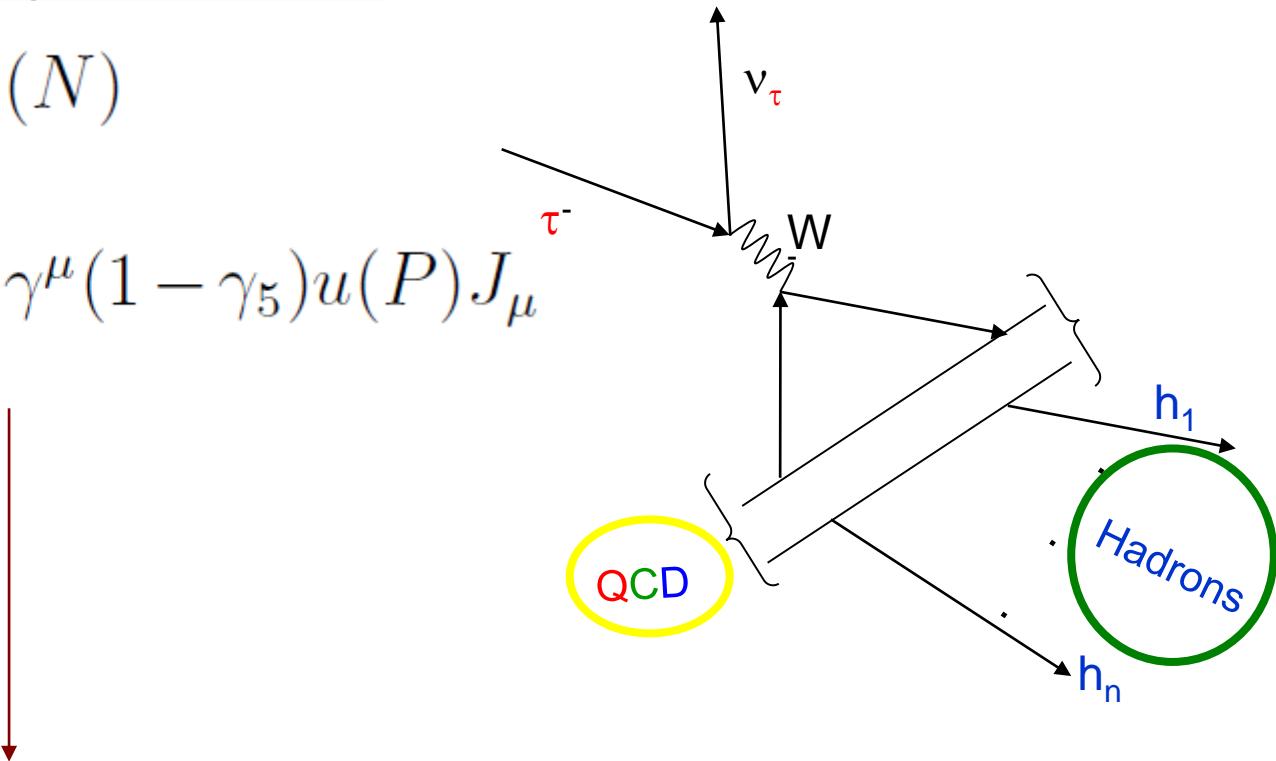
- ▶ displaying recent changes
- ▶ branching different approaches
- ▶ tagging milestones and stable revisions
- ▶ when bug is found – "blame" to check who and when
- ▶ GUI: **kdesvn**



Hadronic decay mode of τ

$$\tau(P) \rightarrow X \nu_\tau(N)$$

$$\mathcal{M} = \frac{G_F}{\sqrt{2}} \bar{u}(N) \gamma^\mu (1 - \gamma_5) u(P) J_\mu$$



$$J_\mu = \langle \text{Hadrons} | (\text{V-A})_\mu e^{iS_{\text{QCD}}} | 0 \rangle = \sum_i (\text{Lorentz Structure})^i F_i(Q^2, s_j)$$

3 pseudoscalars: 3 Lorentz independent structure

2 pseudoscalars: 2 Lorentz independent structure (vector; scalar)

$$F_i(Q^2, s_j) \rightarrow R \chi T$$

Resonance Chiral Theory (Chiral Theory with the explicit inclusion of *resonances*)

G.Ecker et al., Nucl. Phys B321(1989)311

1. The resonance fields ($V_{\mu\nu}$, $A_{\mu\nu}$ antisymmetric tensor field) is added by explicit way , based on ChPT
2. Reproduces NLO prediction of ChPT (at least)
3. Theoretical results for $2\pi\tau$, $2K\tau$, $K\pi\tau$, $3\pi\tau$, $KK\pi\tau$ → self consistent results for TAUOLA
4. Finite numbers of parameters (one octet: f_π , F_V , G_V , F_A)
5. Correct high energy behaviour of form factors: $F_V G_V = f_\pi^2$, $F_V^2 - F_A^2 = f_\pi^2$, $F_V^2 M_V^2 = F_A^2 M_A^2$

Talk Pablo Roig

$2\pi\tau$, $2K\tau$, $K\pi\tau$, $3\pi\tau$, $KK\pi\tau$
Currents in RChT in TAUOLA2011

88% of tau hadronic width

Two pseudoscalar modes:

$$\tau^- \rightarrow \pi^- \pi^0 v_\tau; \quad \tau^- \rightarrow (\bar{K}\pi)^- v_\tau; \quad \tau^- \rightarrow K^- K^0 v_\tau$$

All modes are in separate subroutines, no problem with normalization

Hadronic current $J^\mu = N \left[(p_1 - p_2)^\mu F^V(s) + (p_1 + p_2)^\mu F^S(s) \right] \quad s = (p_1 + p_2)^2$

$$N^{\pi^-\pi^0} = 1, \quad N^{K^-K^0} = \frac{1}{\sqrt{2}}, \quad N^{\pi^-\bar{K}^0} = \frac{1}{\sqrt{2}}, \quad N^{\pi^0K^-} = \frac{1}{2}$$

F^V vector, 1st octet: $F_{PQ}^V(s) = F^{VMD}(s) \exp \left[\sum_{P,Q} N_{loop}^{PQ} \frac{-s}{96\pi^2 F^2} \text{Re}A_{PQ}(s) \right]$

$$N_{loop}^{\pi^-\pi^0} = 1, \quad N_{loop}^{K^-K^0} = \frac{1}{2}, \quad N_{loop}^{K\pi} = N_{loop}^{K\eta} = \frac{3}{4}$$

2pion and 2 Kaon modes

$$m_{\pi^\pm} \neq m_{\pi^0} \quad m_{K^\pm} \neq m_K$$

$$F^V(0) = 1 \quad \text{SU(2) limit}$$

$$\begin{aligned} F_{\pi\pi}^V(s) &= \frac{M_\rho^2 + s(\gamma e^{i\phi_1} + \delta e^{i\phi_2})}{M_\rho^2 - s - iM_\rho\Gamma_\rho(s)} \exp \left\{ \frac{-s}{96\pi^2 F^2} \left[\text{Re}A_{\pi^-\pi^0}(s) + \frac{1}{2} \text{Re}A_{K^-K^0}(s) \right] \right\} \\ &\quad - \frac{s\gamma e^{i\phi_1}}{M_{\rho'}^2 - s - iM_{\rho'}\Gamma_{\rho'}(s)} \exp \left\{ \frac{-s\Gamma_{\rho'}}{\pi M_{\rho'}^3 \sigma_\pi^3(M_{\rho'}^2)} \left[\text{Re}A_\pi(s) \right] \right\} \\ &\quad - \frac{s\delta e^{i\phi_2}}{M_{\rho''}^2 - s - iM_{\rho''}\Gamma_{\rho''}(s)} \exp \left\{ \frac{-s\Gamma_{\rho''}}{\pi M_{\rho''}^3 \sigma_\pi^3(M_{\rho''}^2)} \left[\text{Re}A_\pi(s) \right] \right\}, \end{aligned}$$

SU(3) limit: δ, γ are the same for 2 pions and 2 kaons

No SU(2) up to 30% difference

See talk P. Roig for details of calculation

K pion mode

Two parametrizations:

$$F_{K\pi}^V(s) = \left(\frac{M_{K^*}^2 + s\gamma_{K\pi}}{M_{K^*}^2 - s - iM_{K^*}\Gamma_{K^*}(s)} - \frac{s\gamma_{K\pi}}{M_{K^{*\prime}}^2 - s - iM_{K^{*\prime}}\Gamma_{K^{*\prime}}(s)} \right) \\ \exp \left\{ \frac{-s}{128\pi^2 F^2} \left[\text{Re}A_{K\pi}(s) + \text{Re}A_{K\eta}(s) \right] \right\}.$$

*M.Jamin, A. Pich, J. Portoles, Phys. Lett B 664(2008) 78
(*)*

$$\tilde{F}_+^{K\pi}(s) \equiv F_+^{K\pi}(s)/F_+^{K\pi}(0)$$

$$\tilde{F}_+^{K\pi}(s) = \frac{m_{K^*}^2 - \kappa_{K^*} \tilde{H}_{K\pi}(0) + \gamma s}{D(m_{K^*}, \gamma_{K^*})} - \frac{\gamma s}{D(m_{K^{*\prime}}, \gamma_{K^{*\prime}})}$$

$$D(m_n, \gamma_n) \equiv m_n^2 - s - \kappa_n \text{Re} \tilde{H}_{K\pi}(s) - i m_n \gamma_n(s)$$

*D.R. Boito, R.Escribano, M. Jamin, Eur. Phys. J C59(2009)821
simplified version (**)*

Difference claimed by authors ~4%, different treatment of FSI, fit to Belle

Parameters to fix F^V for two pseudoscalar modes

FFKPIVEC = 0 (**); 1 (*)

FFKKVEC = 0 (only rho); 1 (with rho')

FFVEC = 0 (no FSI); 1 (FSI)

TAUOLA 2011: $F^s = 0$!!!!!

Three pseudoscalar modes:

$$\tau^- \rightarrow (3\pi)^- v_\tau; \quad \tau^- \rightarrow K^- \pi^- K^+ v_\tau; \quad \tau^- \rightarrow K^0 \pi^{-0} v_\tau, \quad \tau^- \rightarrow K^- \pi^0 K^0 v_\tau$$

Hadronic current

Decay mode (p_1, p_2, p_3)	c_1	c_2	c_3	c_4	c_5
$\pi^- \pi^- \pi^+$	1	-1	0	1	0
$\pi^0 \pi^0 \pi^-$	1	-1	0	1	0
$K^- \pi^- K^+$	1	-1	0	0	1
$K^0 \pi^- \bar{K}^0$	1	-1	0	0	1
$K^- \pi^0 K^0$	0	1	-1	0	-1

$$J^\mu = N \left\{ T_\nu^\mu \left[c_1(p_2 - p_3)^\nu F_1 + c_2(p_3 - p_1)^\nu F_2 + c_3(p_1 - p_2)^\nu F_3 \right] + c_4 q^\nu F_4 - \frac{i}{4\pi^2 F^2} c_5 \epsilon^{\mu\nu\rho\sigma} p_{1\nu} p_{2\rho} p_{3\sigma} F_5 \right\}$$

$$N = \cos\theta_{\text{Cabibbo}}/F \quad \text{2n kaons}$$

$$N = \sin\theta_{\text{Cabibbo}}/F \quad \text{2n+1 kaons}$$

$$T_\mu^\nu = g^{\mu\nu} - \frac{q^\mu q^\nu}{q^2}, \quad q^\mu = p_1^\mu + p_2^\mu + p_3^\mu$$

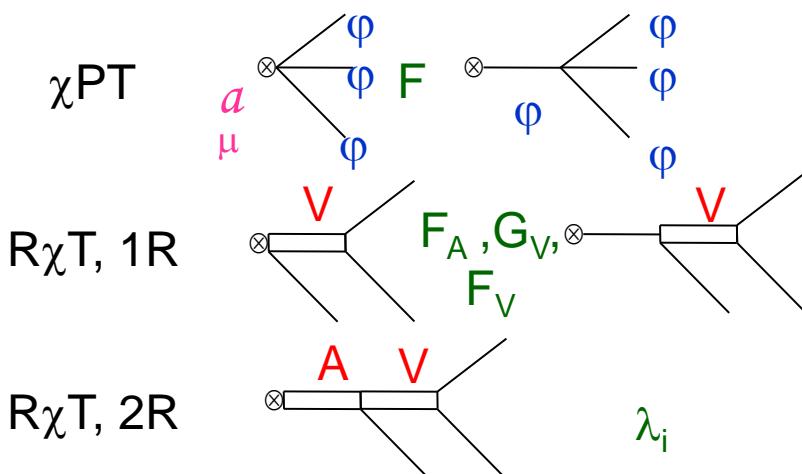
FF: F_1, F_2, F_3 axial-vector, F_5 vector, F_4 pseudoscalar

$$F_i = F_i^\chi + F_i^R + F_i^{RR},$$

$$F_4 \sim m_\pi^2 / q^2$$

1 octet: F, F_V, G_V, λ_i (5)

1 + 7 constants



$$\tau^- \rightarrow (3\pi)^- \nu_\tau$$

simplified version of ρ' inclusion

$$\frac{1}{M_\rho^2 - q^2 - iM_\rho\Gamma_\rho(q^2)} \rightarrow \frac{1}{1 + \beta_{\rho'}} \left[\frac{1}{M_\rho^2 - q^2 - iM_\rho\Gamma_\rho(q^2)} + \frac{\beta_{\rho'}}{M_{\rho'}^2 - q^2 - iM_{\rho'}\Gamma_{\rho'}(q^2)} \right]$$

$$\tau^- \rightarrow K^- \pi^- K^+ \nu_\tau; \quad \tau^- \rightarrow K^0 \pi^{-0} \nu_\tau, \quad \tau^- \rightarrow K^- \pi^0 K^0 \nu_\tau$$

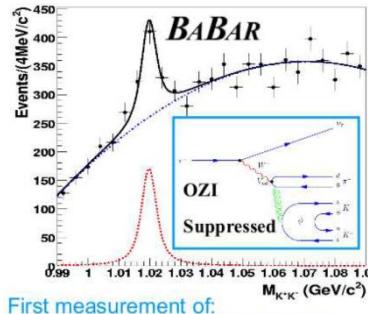
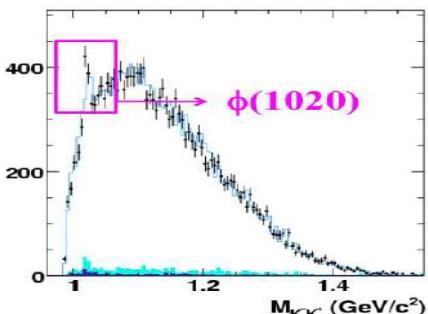
no ρ' , no $K^{*\prime}$

Results for Fi: D.G. Dumm et al, Phys Lett B685 (2010) 158 3 pion modes
 D..G. Dumm et al, Phys Rev D81(2010) 034031 KKpi modes

Numerical values :

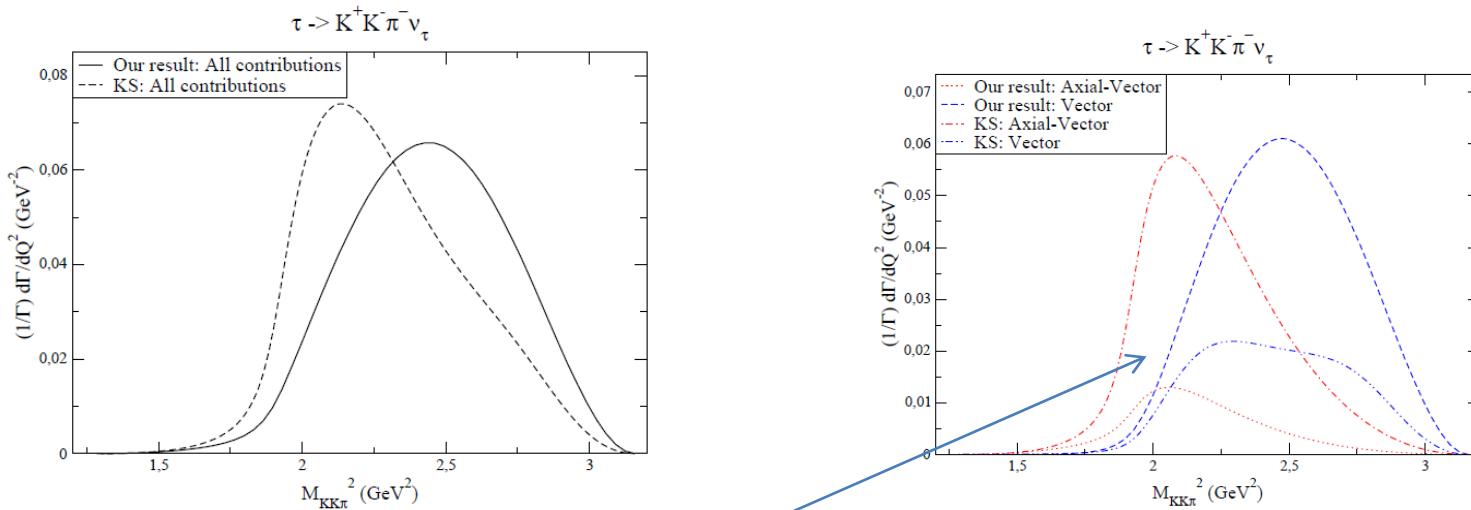
1. high-energy behaviour of FF (talk of Pablo !!!)
2. fit to ALEPH data (3pions)
3. ideal mixing angle $\theta_V = \tan^{-1}(1/\sqrt{2}) \Rightarrow$ no ϕ intermediate state

$$F_5^{\text{RR}}(q^2, s_2, s_1) = -16\sqrt{2}\pi^2 F_V G_V \frac{1}{M_\rho^2 - q^2 - iM_\rho\Gamma_\rho(q^2)} \left[\frac{C^{\text{RR}}(q^2, s_1, m_K^2)}{M_{K^*}^2 - s_1 - iM_{K^*}\Gamma_{K^*}(s_1)} + C^{\text{RR}}(q^2, s_2, m_\pi^2) \left(\sin^2 \theta_V \frac{1 + \sqrt{2} \cot \theta_V}{M_\omega^2 - s_2 - iM_\omega\Gamma_\omega} + \cos^2 \theta_V \frac{1 - \sqrt{2} \tan \theta_V}{M_\phi^2 - s_2 - iM_\phi\Gamma_\phi} \right) \right],$$



← Talk of Ian Nugent,
 Cracow, May 2011

Comparison between CPC and TAUOLA 2011 (arXiv:0911.2640):



Sizable vector contribution in RChT

Vector contribution (absent for 3 pion modes):

- within CPC parametrization CLEO was not able to reproduce data
- CLEO parametrization: to adjust data added factors (hep-ex/0401005)

$$\begin{aligned} J^\mu &= \left(q_1^\mu - q_3^\mu - Q^\mu \frac{Q(q_1 - q_3)}{Q^2} \right) F_1(s_1, s_2, Q^2) \\ &\quad + \left(q_2^\mu - q_3^\mu - Q^\mu \frac{Q(q_2 - q_3)}{Q^2} \right) F_2(s_1, s_2, Q^2) \\ &\quad + i\epsilon^{\mu\alpha\beta\gamma} q_{1\alpha} q_{2\beta} q_{3\gamma} F_3(s_1, s_2, Q^2) \end{aligned}$$

$$R_B = 3.23 \pm 0.26$$

$$\begin{aligned} F_1 &= -\frac{\sqrt{2}}{3f_\pi} \text{BW}_{a1}(Q^2) \frac{\text{BW}_\rho(s_2) + \beta_\rho \text{BW}_{\rho'}(s_2)}{1 + \beta_\rho}, \\ F_2 &= -\frac{\sqrt{2}}{3f_\pi} \cdot R_F \cdot \text{BW}_{a1}(Q^2) \cdot \text{BW}_{K^*}(s_1), \\ F_3 &= -\frac{1}{2\sqrt{2}\pi^2 f_\pi^3} \cdot \sqrt{R_B} \cdot \frac{\text{BW}_\omega(s_2) + \alpha \text{BW}_{K^*}(s_1)}{1 + \alpha} \\ &\quad \cdot \frac{\text{BW}_\rho(Q^2) + \lambda \text{BW}_{\rho'}(Q^2) + \delta \text{BW}_{\rho''}(Q^2)}{1 + \lambda + \delta}, \end{aligned}$$

RChT prediction should be checked by data

Numerical benchmarks of formfactor implementation:

1. a1 width ($\Gamma_{a_1}(q^2)$) is tabulated to avoid problem with triple integration:

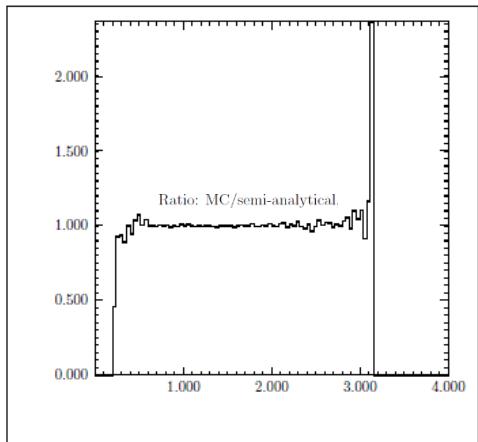
$$\begin{aligned}\Gamma_{a_1}(q^2) &= 2\Gamma_{a_1}^\pi(q^2)\theta(q^2 - 9m_\pi^2) \\ &+ 2\Gamma_{a_1}^{K^\pm}(q^2)\theta(q^2 - (m_\pi + 2m_K)^2) + \Gamma_{a_1}^{K^0}(q^2)\theta(q^2 - (m_\pi + 2m_K)^2)\end{aligned}$$

$$\begin{aligned}\Gamma_{a_1}^{\pi,K}(q^2) &= \frac{-S}{192(2\pi)^3 F_A^2 F^2 M_{a_1}} \left(\frac{M_{a_1}^2}{q^2} - 1 \right)^2 \\ &\int ds dt (V_1^\mu F_1 + V_2^\mu F_2 + V_3^\mu F_3)^{\pi,K} ((V_{1\mu} F_1 + V_{2\mu} F_2 + V_{3\mu} F_3)^{\pi,K})^*\end{aligned}$$

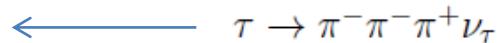
Cross check with linear interpolation

2. Check of every channel: $m_\pi = (m_{\pi^0} + 2 \cdot m_{\pi^\pm})/3$ $m_K = (m_{K^0} + m_{K^\pm})/2$ except for 2pion, 2 Kaon

Check of precision integration compared with analyt result (Gauss integration)



- $F=1$ (2pseudoscal), $F_1=F$, $F_{\text{others}}=0$ to check phase space
- $F_{\text{all}}=\text{physical}$, max difference 0.03% (for integrated width)



3. Comparison of analytical result with linearly interpolated spectrum

Parameters to fit

new-currents/RChL-currents/value_parameter.f

Parameter	Var. name	Default	[suggested range]
M_ρ	mro	0.77554	[0.770, 0.777]
M_ρ	mro	0.775	[0.770, 0.777]
M_{a_1}	mma1	1.12	[1.00, 1.24]
$M_{\rho'}$	mrho1	1.453	[1.44, 1.48]
$M_{\rho'}$	mrho1	1.465	[1.44, 1.48]
$\Gamma_{\rho'}$	grho1	0.50155	[0.32, 0.39]
$\Gamma_{\rho'}$	grho1	0.4	[0.32, 0.39]
$M_{\rho''}$	mrho2	1.8105	[1.68, 1.78]
$\Gamma_{\rho''}$	grho2	0.4178	[0.08, 0.20]
γ	coef_ga	0.14199	[0.077, 0.099]
δ	coef_de	-0.12623	[-0.035, -0.012]
ϕ_1	phi_1	-0.17377	[0.5, 0.7]
ϕ_2	phi_2	0.27632	[0.5, 1.1]
$M_{K^*\pm}$	mksp	0.89166	[0.891, 0.892]
M_{K^*0}	mks0	0.8961	[0.895, 0.897]
M_{K^*}	mkst	0.8953	[0.8951, 0.8955]
M_{K^*}	mkst	$(M_{K^*\pm} + M_{K^*0}) / 2$	
m_{K^*}	mkst	0.94341	[0.9427, 0.9442]
Γ_{K^*}	gamma_kst	0.0475	[0.047, 0.048]
γ_{K^*}	gamma_kst	0.06672	[0.0655, 0.0677]
$\Gamma_{K^{*l}}$	gamma_kstpr	0.206	[0.155, 0.255]
$\gamma_{K^{*l}}$	gamma_kstpr	0.240	[0.120, 0.380]
$M_{K^{*l}}$	mkstpr	1.307	[1.270, 1.350]
$m_{K^{*l}}$	mkstpr	1.374	[1.330, 1.450]
F	fpi_rpt	0.0924	[0.0920, 0.0924]
F_K	fk_rpt	$1.198F$	[$0.94F$, $1.2F$]
F_V	fv_rpt	0.18	[0.12, 0.24]
G_V	gv_rpt	F^2/F_V	$[0.xxF^2/F_V, 1.xxF^2/F_V]$
F_A	fa_rpt	0.149	[0.10, 0.20]
β_ρ	beta_rho	-0.25	[-0.36, -0.18]
$\gamma_{K\pi}$	gamma_rcht	-0.043	[-0.033, -0.053]
$\gamma_{K\pi}$	gamma_rcht	-0.039	[-0.023, -0.055]
θ_V	THETA	35.26°	[15° , 50°]

FIXED

Numerical results

Channel	Width, [GeV]		
	PDG	Equal masses	Phase space with masses
$\pi^-\pi^0$	$(5.778 \pm 0.35\%) \cdot 10^{-13}$	$(5.2283 \pm 0.005\%) \cdot 10^{-13}$	$(5.2441 \pm 0.005\%) \cdot 10^{-13}$
π^0K^-	$(9.72 \pm 3.5\%) \cdot 10^{-15}$	$(8.3981 \pm 0.005\%) \cdot 10^{-15}$	$(8.5810 \pm 0.005\%) \cdot 10^{-15}$
$\pi^-\bar{K}^0$	$(1.9 \pm 5\%) \cdot 10^{-14}$	$(1.6798 \pm 0.006\%) \cdot 10^{-14}$	$(1.6512 \pm 0.006\%) \cdot 10^{-14}$
K^-K^0	$(3.60 \pm 10\%) \cdot 10^{-15}$	$(2.0864 \pm 0.007\%) \cdot 10^{-15}$	$(2.0864 \pm 0.007\%) \cdot 10^{-15}$
$\pi^-\pi^-\pi^+$	$(2.11 \pm 0.8\%) \cdot 10^{-13}$	$(2.1013 \pm 0.016\%) \cdot 10^{-13}$	$(2.0800 \pm 0.017\%) \cdot 10^{-13}$
$\pi^0\pi^0\pi^-$	$(2.10 \pm 1.2\%) \cdot 10^{-13}$	$(2.1013 \pm 0.016\%) \cdot 10^{-13}$	$(2.1256 \pm 0.017\%) \cdot 10^{-13}$
$K^-\pi^-K^+$	$(3.17 \pm 4\%) \cdot 10^{-15}$	$(3.7379 \pm 0.024\%) \cdot 10^{-15}$	$(3.8460 \pm 0.024\%) \cdot 10^{-15}$
$K^0\pi^-\bar{K}^0$	$(3.9 \pm 24\%) \cdot 10^{-15}$	$(3.7385 \pm 0.024\%) \cdot 10^{-15}$	$(3.5917 \pm 0.024\%) \cdot 10^{-15}$
$K^-\pi^0K^0$	$(3.60 \pm 12.6\%) \cdot 10^{-15}$	$(2.7367 \pm 0.025\%) \cdot 10^{-15}$	$(2.7711 \pm 0.024\%) \cdot 10^{-15}$

only ρ

with ρ' (parameters from pion mode) $(2.6502 \pm 0.008\%) \cdot 10^{-15}$ GeV

FSI effects

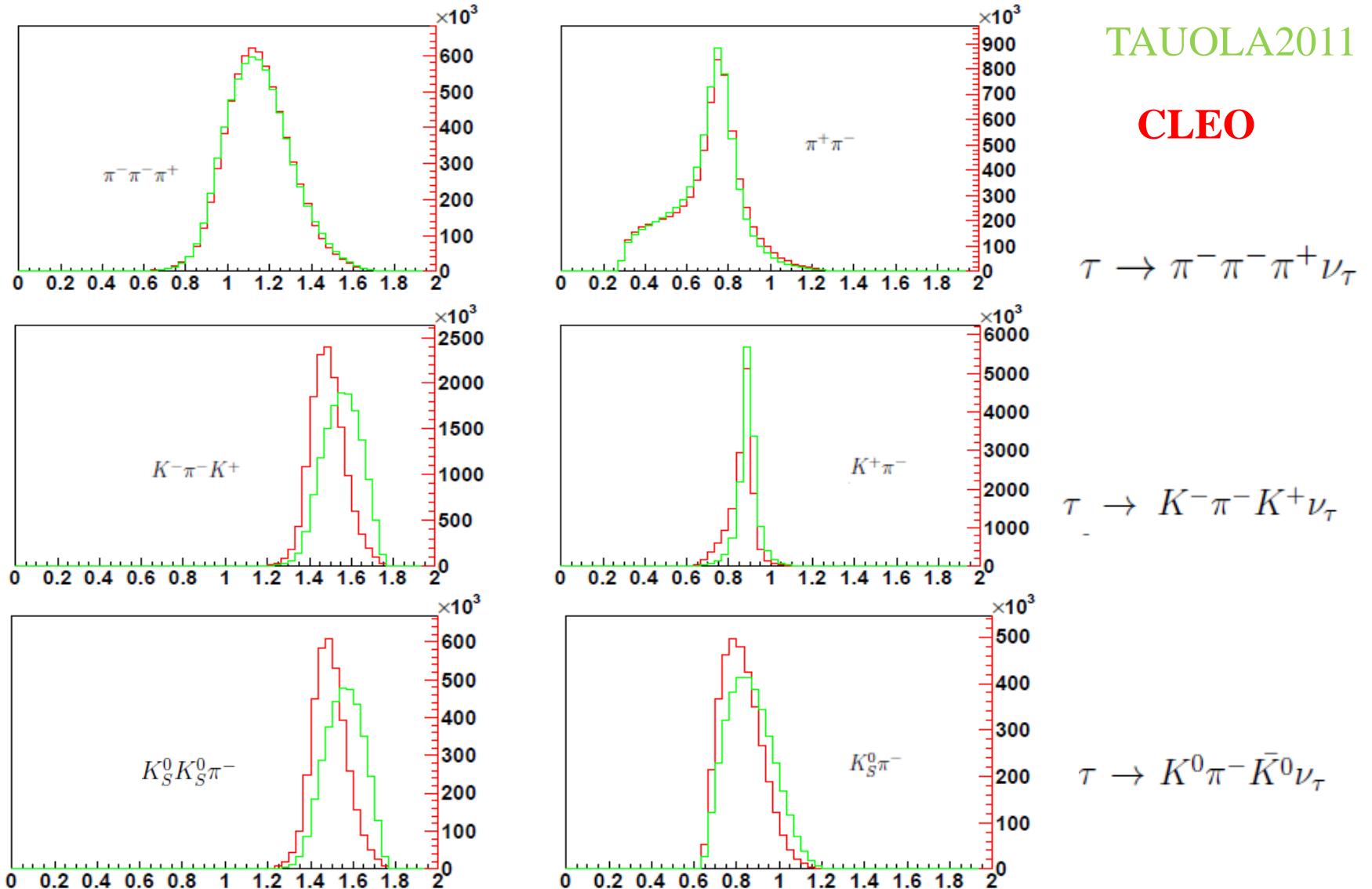
No.	Channel	Width [GeV]	Width [GeV]
1.	$\pi^-\pi^0$	$5.2441 \cdot 10^{-13} \pm 0.005\%$	$4.0642 \cdot 10^{-13} \pm 0.005\%$
2.	π^0K^-	$8.5810 \cdot 10^{-15} \pm 0.005\%$	$7.4275 \cdot 10^{-15} \pm 0.005\%$
3.	$\pi^-\bar{K}^0$	$1.6512 \cdot 10^{-14} \pm 0.006\%$	$1.4276 \cdot 10^{-14} \pm 0.006\%$
4.	K^-K^0	$2.0864 \cdot 10^{-15} \pm 0.007\%$	$1.2201 \cdot 10^{-15} \pm 0.007\%$

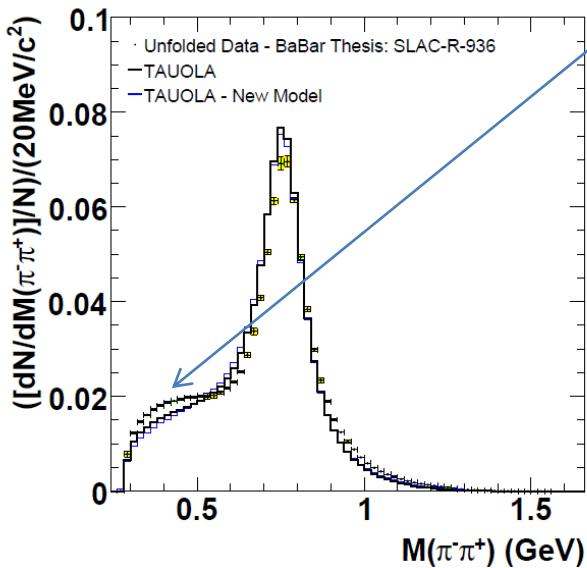
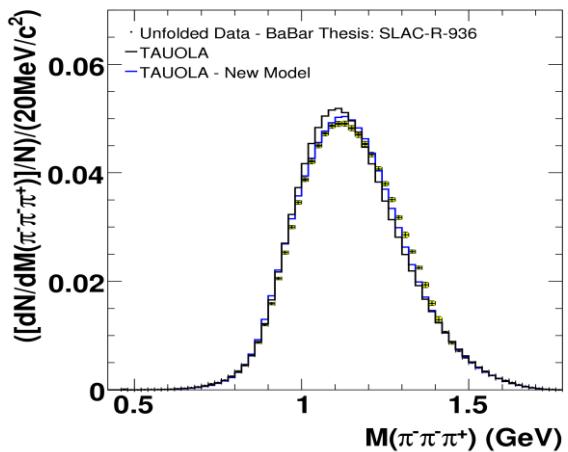
14% – 32%

FSI

No FSI

Comparison between CLEO and TAUOLA2011

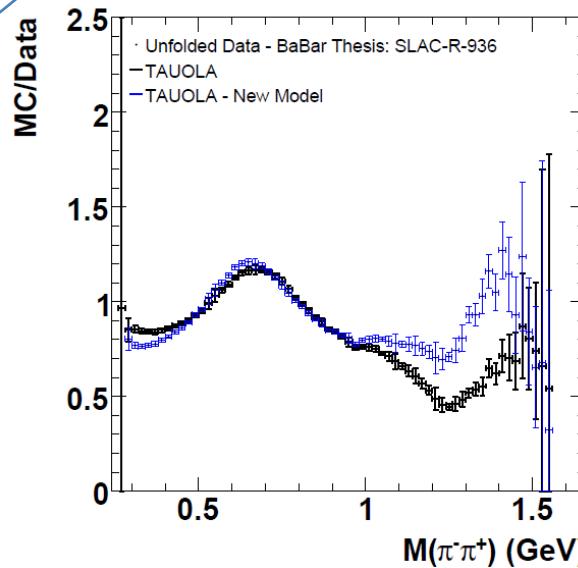




Comparison with BABAR data: *Ian M. Nugent, (Victoria U.) . SLAC-R-936, Dec16, 2009. Ph.D. Thesis (Advisor: Dr. J. Michael Roney).*

Low energy region is not described well by both models
CPC (LO ChT) RChT (NLO ChT)

?sigma meson?
not estimated yet



Talk of Pablo Roig

CONCLUSION

- released version, <http://annapurna.ifj.edu.pl/~wasm/RChL/RChL.htm>
- done under SVN code manager
- $2\pi\tau$, $2K\tau$, $K\pi\tau$, $3\pi\tau$, $KK\pi\tau$ **88% of tau hadronic width**
- first comparison with data

TAUOLA2012

- common work with experimentalists (I. Nugent, D. Epifanov) → fit of parameters
- higher energy resonances in 3 pseudoscalar modes
- scalar FF in Kpi mode, FSI for 2 pseudoscalar modes (**TALK OF PROIG**)
- 4 pion modes in RChT to get 97% hadronic width, G.Ecker, R. Unterdorfer, Eur.Phys. JC24 (2002) 535
- ??? sigma meson ???

Hadronic tau decays have undergone, during the last years, a fruitful era of excellence from the point of view of collecting experimental data. Experimentalists have done and are doing a great job. Now time has come for theoreticians to do their task.

Jorge Portoles: TAU04
hep-ph/0411333

Common work: theory + experiment



We invite theoreticians and experimentslists to participate TAUOLA

WORKSHOP tau lepton decays:
hadronic currents from data of Belle and BaBar and new physics signatures at LHC
14-19 May 2012

Institute of Nuclear Physics PAN, Cracow Poland, Radzikowskiego 152 , <http://www.ifj.edu.pl>

Organizers/contact persons:

- 1) Zbigniew Was zbigniew.was@ifj.edu.pl
- 2) Anna Kaczmarcka anna.kaczmarcka@ifj.edu.pl
- 3) Andrzej Bozek andrzej.bozek@ifj.edu.pl
- 4) Tadeusz Lesiak tadeusz.lesiak@ifj.edu.pl
- 5) SECRETARIAT Jolanta Masurek tauola@ifj.edu.pl

Main topics:

- A- modelling of hadronic currents for tau decays
- B- fits of such currents to tau decay data
- C- use of tau lepton decays in LHC experiments.

Another theme:

- D- bremsstrahlung in decays of Z W and inter-relation with reconstruction of electrons/ muons

Detailed program <http://www.cern.ch/wasm/public/meetingB.pdf>