

DPDF Meeting

May 16

```

1  * number of events to be generated
2  *
3  NEVENT 100000
4  *NEVENT 21
5  * The default settings of these additional parameters are:
6  *   ppin /820.0/ plepin/-30.0/
7  *
8  * ++++++ Kinematic parameters ++++++
9  *
10 |   'PPIN'    1      0      100.0 ! (D=820)
11 *
12 |   'PLEP'    1      0     -10.0 ! (D=-30.)
13 *
14 |   'LEPI'    1      0      11   ! (D=11) LUND e KF code
15 |   'HADI'    1      0     2212 ! (D=2212) LUND proton KF code
16 *
17 |   'QMIN'    1      0      5.0  ! (D=5.) Q2MIN of electron
18 |   'QMAX'    1      0     200.0 ! (D=10.D8) Q2MAX of electron
19 *
20 |   'YMIN'    1      0      0.05 ! (D=0.) YMIN of electron
21 |   'YMAX'    1      0      0.8  ! (D=1.) YMAX of electron
22 *
23 |   'THEM'    1      0     172.50 ! (D=180.) theta_max of sc. elec
24 *
25 |   'THEI'    1      0     157.00 ! (D=180.) do not switch on for HERACLES
26 *
27 |   'IFPS'    1      0      0     ! (D=0) P.S.
28 *
29 *
30 *
31 *

```

Formulas For MC reduced cross section

$$\frac{d^3\sigma}{dx_{\mathbb{P}}d\beta dQ^2} = \frac{N_i}{(\Delta x_{\mathbb{P}})_i(\Delta\beta)_i(\Delta Q^2)_i} \frac{1}{\mathcal{L}_{\text{MC}}^{\text{int.}}} \quad \mathcal{L}_{\text{MC}}^{\text{int.}} = \frac{N_{\text{MC}}}{\sigma_{\text{MC}}}$$

$$\frac{d^3\sigma}{dx_{\mathbb{P}}d\beta dQ^2} = \frac{2\pi\alpha^2}{\beta Q^4} Y_+ \sigma_r^{D(3)}(\beta, Q^2, x_{\mathbb{P}}) \quad Y_+ = 1 + (1 - y)^2$$

$$\sigma_r^{D(3)}(\beta, Q^2, x_{\mathbb{P}}) = F_2^{D(3)}(\beta, Q^2, x_{\mathbb{P}}) - \frac{y^2}{Y_+} F_L^{D(3)}(\beta, Q^2, x_{\mathbb{P}})$$

Notes from last week

A log uniform binning should work for Q^2 , but also maybe for the other two variables.

In principle the bin width should be 3-5 times the bin by bin resolution to minimize the bin migration.

I don't have an answer for the events with x_{Pom} near 1.

To Do: Acceptance correction, efficiency, purity for the recon. xsection

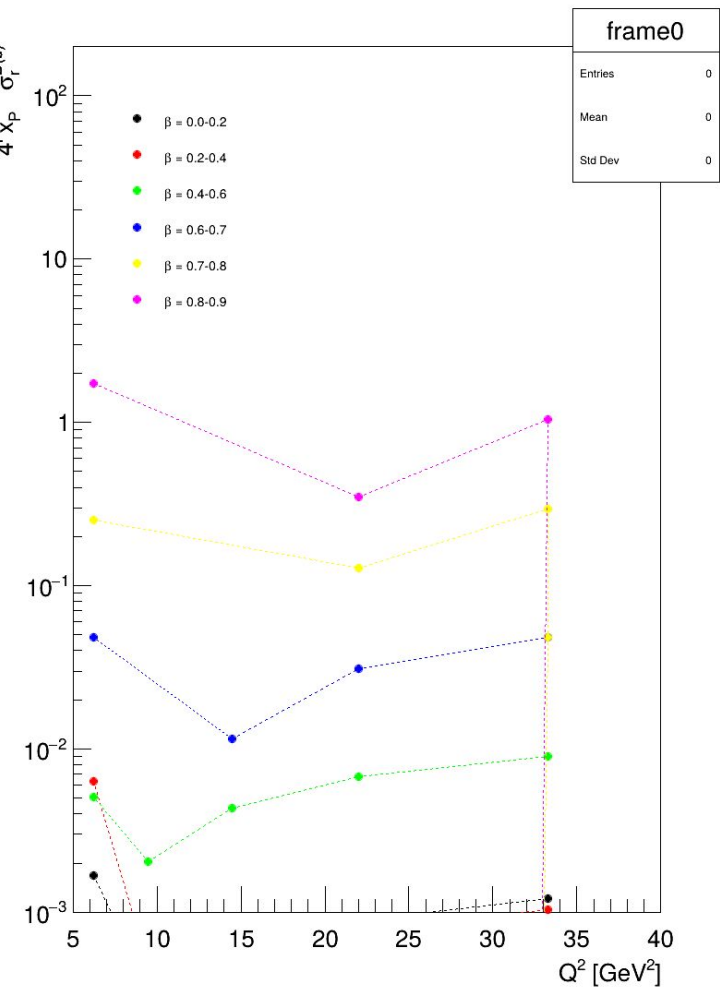
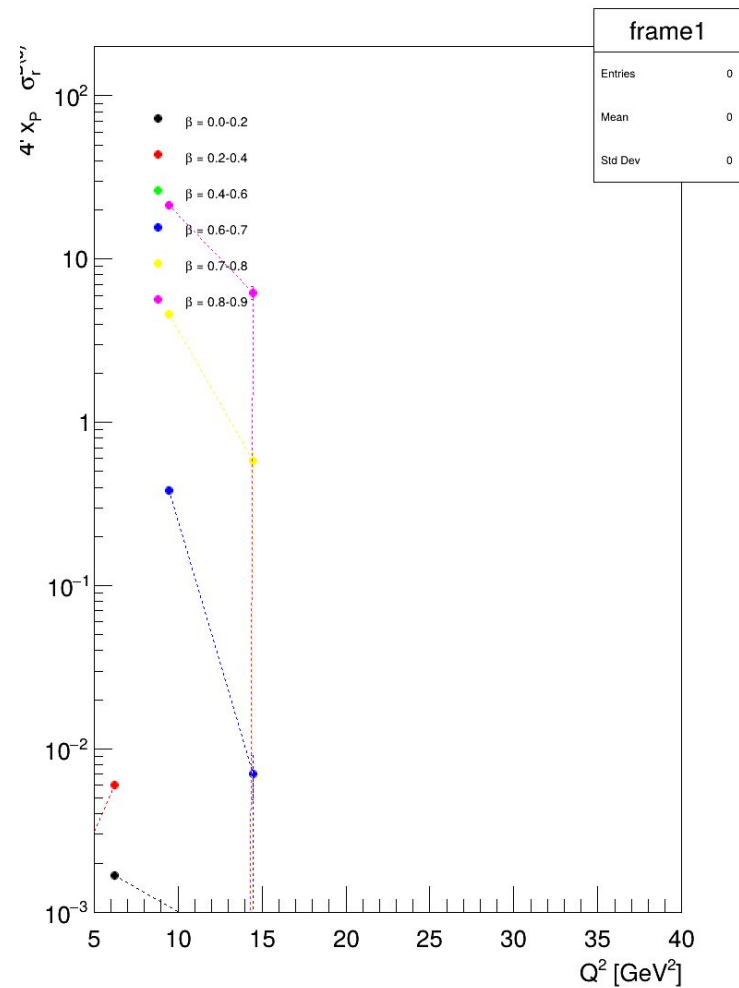
binnings

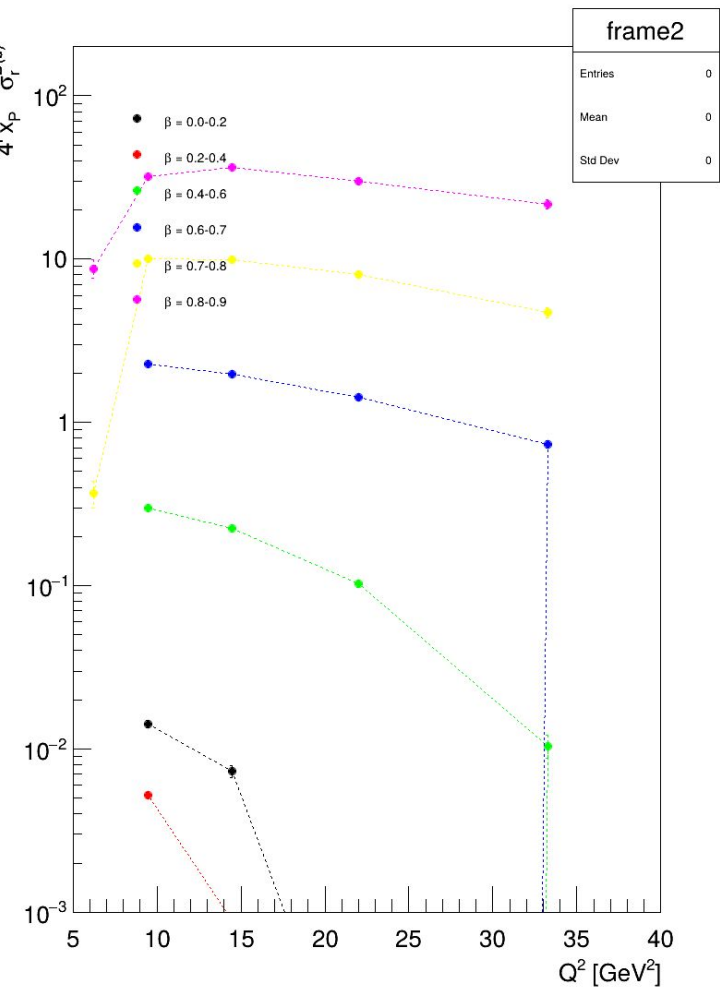
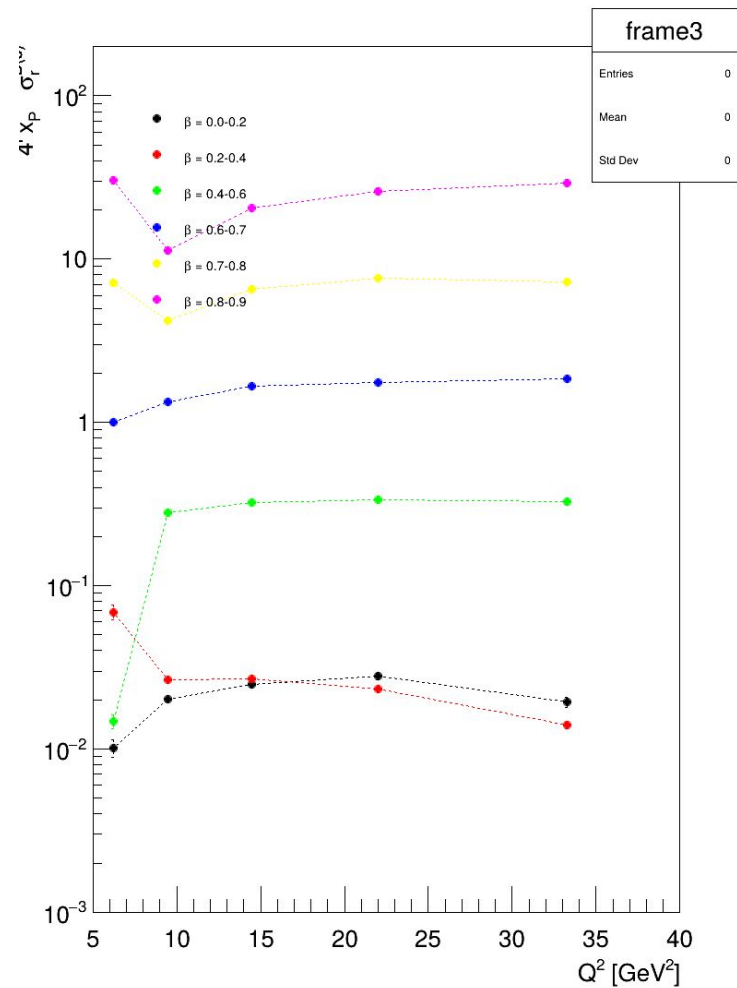
Inspired by ZEUS,

```
// distribution for cross-section|
// Define binning
const int nQ2 = 5;
double Q2_bins[nQ2+1] = {5, 7.5, 11.5, 17.5, 26.5, 40};

const int nBeta = 6;
double beta_bins[nBeta+1] = {0.0, 0.2, 0.4, 0.6, 0.7, 0.8, 0.9};

const int nXPom = 4;
double xPom_bins[nXPom+1] = { 0.001, 0.00447, 0.02, 0.08994, 0.2};
```

$x_P = 0.0010$  $x_P = 0.0045$ 

$x_P = 0.0200$  $x_P = 0.0899$ 

Next, checking the values(?)

Bin-wise $d^3\sigma/dQ^2 d\beta dx_{\text{Pom}}$ [pb/GeV²]:

Bin (Q^2 : 6.2, β : 0.100, x_{Pom} : 0.0122): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0013 \pm 0.0001$

Bin (Q^2 : 6.2, β : 0.100, x_{Pom} : 0.0550): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0066 \pm 0.0001$

Bin (Q^2 : 6.2, β : 0.100, x_{Pom} : 0.1450): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0066 \pm 0.0001$

Bin (Q^2 : 6.2, β : 0.300, x_{Pom} : 0.0027): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0000 \pm 0.0000$

Bin (Q^2 : 6.2, β : 0.300, x_{Pom} : 0.0122): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0188 \pm 0.0003$

Bin (Q^2 : 6.2, β : 0.300, x_{Pom} : 0.0550): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0176 \pm 0.0002$

Bin (Q^2 : 6.2, β : 0.300, x_{Pom} : 0.1450): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0030 \pm 0.0001$

Bin (Q^2 : 6.2, β : 0.500, x_{Pom} : 0.0027): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0060 \pm 0.0003$

Bin (Q^2 : 6.2, β : 0.500, x_{Pom} : 0.0122): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0357 \pm 0.0005$

Bin (Q^2 : 6.2, β : 0.500, x_{Pom} : 0.0550): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0208 \pm 0.0003$

Bin (Q^2 : 6.2, β : 0.650, x_{Pom} : 0.0027): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0179 \pm 0.0007$

Bin (Q^2 : 6.2, β : 0.650, x_{Pom} : 0.0122): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0391 \pm 0.0008$

Bin (Q^2 : 6.2, β : 0.650, x_{Pom} : 0.0550): $x\text{Pom} \cdot \sigma_{\text{red}} = 0.0164 \pm 0.0005$