Addressing hadron interactions and exotic states via femtoscopy

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## The femtoscopy method in nucleus nucleus collisions

#### Accessing hadronic final-state interaction with correlation functions measured in pp collisions

M. Lisa, S. Pratt et al, Annu. Rev. Nucl. Part. Sci., 55 (2005), 357-402, L. Fabbietti, V. Mantovani Sarti and O. Vazquez Doce Annu. Rev. Nucl. Part. Sci. 71 (2021), 377-402

$$C(k^*) = \frac{N_{\text{same}}(k^*)}{N_{\text{mixed}}(k^*)} = \int S(\vec{r}^*) \left| \psi(\vec{k}^*, \vec{r}^*) \right|^2 d^3 \vec{r}^*$$

particle source two-part. wave-function

S.E. Koonin, Phys. Lett. B 70, 43 (1977) S. Pratt and M.B. Tsang, Phys. Rev. C 36, 2390 (1987)



## The femtoscopy method in nucleus nucleus collisions

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Two-particle wave function: For known source  $\Rightarrow$  Study the interaction

We can test, for example, a local potential ⇒ test Lattice QCD predictions of di-baryon bound states with strangeness!

\* in pair rest frame

## (Multi-)strange meson-baryon systems and exotic states

#### Interactions between mesons and baryons involving strangeness

- $\rightarrow$  Landmark for hadron-hadron interaction studies
- $\rightarrow$  Possibility to study nature and properties of exotic states

#### Presence of a rich coupled-channel dynamics

- $\rightarrow$  Systems sharing same quantum numbers (B,S,Q) relatively close in mass
- $\rightarrow$  On- and off-shell processes from one channel to the other

Several candidates for exotic states with molecular nature

- $\rightarrow$  Typically observed close to channel thresholds
- $\rightarrow$  Main example given by the **two-pole**  $\Lambda(1405)$  state

J. M.M. Hall et al. Phys. Rev. Lett. 114 (2015) 13 U. G. Meißner Symmetry 12 (2020) 6, 981





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### S=-1 meson-baryon interaction

Large attractive interaction in isospin I=0 channel

 $\rightarrow$  Responsible for formation of  $\Lambda(1405)$  below  $\overline{K}N$  threshold

Scarce statistics available from scattering data above  $\overline{K}N$  threshold



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Hadron interactions, exotic states (and more) via femtoscopy

### High-precision data on S=-1 sector above threshold

Femtoscopy delivers the **most precise data above K⁻-p threshold** → Crucial input for low-energy chiral effective potentials Provides a **quantitative test of coupled channels**  Data:

ALICE Coll. Phys. Rev. Lett. 124, 092301 (2020) ALICE Coll. Eur. Phys. J. C 83, 340 (2023)

Strong interaction: Kyoto model K. Miyahara et al., Phys. Rev. C98, 2, (2018) 025201



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## High-precision data on S=-1 sector above threshold



## High-precision data on S=-1 sector above threshold



Hadron interactions, exotic states (and more) via femtoscopy

W. Resza @ Hadron 2023

## K<sup>-</sup>d Femtoscopy with ALICE in Pb-Pb collisions



### Fit to K<sup>-</sup>d correlation function:

Simultaneous fit with 6 free parameters with Lednicky wave function

- Re. K<sup>+</sup>d scatt. length
- Re., Im. K<sup>-</sup>d scatt. length
- r<sub>o</sub> x3 centralities



Hadron interactions, exotic states (and more) via femtoscopy

## K<sup>-</sup>d Femtoscopy with ALICE in Pb-Pb collisions



What other data can help?

W. Resza @ Hadron 2023

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- r<sub>o</sub> x3 centralities



# Parameter fixing in EFTs

- KbarN interaction: Chiral SU(3) dynamical approach.
- From LO to NLO, N<sup>2</sup>LO... from s to s+p, s+p+d waves
  - ⇒ more parameters to be fixed (by data)

A. Feijoo @ HYP2022

Next to leading order (NLO), just considering the contact term

$$\mathcal{L}_{\phi B}^{(2)} = b_D \langle \bar{B}\{\chi_+, B\} \rangle + b_F \langle \bar{B}[\chi_+, B] \rangle + b_0 \langle \bar{B}B \rangle \langle \chi_+ \rangle + d_1 \langle \bar{B}\{u_\mu, [u^\mu, B]\} \rangle$$

$$+ d_2 \langle \bar{B}[u_\mu, [u^\mu, B]] \rangle + d_3 \langle \bar{B}u_\mu \rangle \langle u^\mu B \rangle + d_4 \langle \bar{B}B \rangle \langle u^\mu u_\mu \rangle$$

$$- \frac{g_1}{8M_N^2} \langle \bar{B}\{u_\mu, [u_\nu, \{D^\mu, D^\nu\}B]\} \rangle - \frac{g_2}{8M_N^2} \langle \bar{B}[u_\mu, [u_\nu, \{D^\mu, D^\nu\}B]] \rangle$$

$$- \frac{g_3}{8M_N^2} \langle \bar{B}u_\mu \rangle \langle [u_\nu, \{D^\mu, D^\nu\}B] \rangle - \frac{g_4}{8M_N^2} \langle \bar{B}\{D^\mu, D^\nu\}B \rangle \langle u_\mu u_\nu \rangle$$

$$- \frac{h_1}{4} \langle \bar{B}[\gamma^\mu, \gamma^\nu]Bu_\mu u_\nu \rangle - \frac{h_2}{4} \langle \bar{B}[\gamma^\mu, \gamma^\nu]u_\mu[u_\nu, B] \rangle - \frac{h_3}{4} \langle \bar{B}[\gamma^\mu, \gamma^\nu]u_\mu\{u_\nu, B\} \rangle$$

$$- \frac{h_4}{4} \langle \bar{B}[\gamma^\mu, \gamma^\nu]u_\mu \rangle \langle u_\nu, B \rangle + h.c.$$

•  $b_0, b_D, b_F, d_1, d_2, d_3, d_4, g_1, g_2, g_4, h_1, h_2, h_3, h_4$  are not well established, so they should be treated as parameters of the model!

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Scarce statistics available from scattering data above  $\overline{K}N$  threshold



Femtoscopy delivers high-precision data close to threshold and on several inelastic channels

Sensitivity to

# Accessing the $\Xi^-K^+$ system with femtoscopy

#### Most precise data at low momenta on the

interaction between  $\Xi$  and kaons

 $\rightarrow$  Important constraints for I=1 channel of

S=-1 meson-baryon interaction

Modeled assuming Lednický-Lyuboshits wavefunction with Coulomb (S-wave only) R. Lednický, Phys. Part. Nucl. 40: 307-352 (2009)

→ Coulomb + strong repulsive interaction assumption agrees with the data

Determination of scattering length from best fit

 $\Re f_0 = -0.61_{\pm 0.07(syst)}^{\pm 0.02(stat)}$  $\Im f_0 = 0.41_{\pm 0.11(syst)}^{\pm 0.04(stat)}$ 



## Constraining the $\Xi^-K^+$ scattering parameters

Comparison of data with modeling assuming different values of  $(\Re f_0, \Im f_0)$ 

→ Delivered in terms of number of standard deviations (n<sub>a</sub>) in  $k^* \in [0,250]$  MeV/c

Allowed values for f<sub>0</sub> from **state-of-the-art chiral calculations** at next-to-leading order and phenomenological potentials **constrained** to **available scattering data** 

Higher precision constraints can be delivered with correlation data



## Moving to the S=-2 sector

Scattering experiments challenging with increasing strangeness

 $\rightarrow$   $\Xi$ (1620) lying across the  $\overline{K}\Lambda$  threshold as molecular candidate, poorly known

	ηΞ	ĒΣ	κ̈́Λ	Ξπ
Energ	1870	1683-1691	1609-1613	1449-1461

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Intensive searches via spectroscopy measurements

 $\rightarrow$  Combine different production mechanisms/decay channels to reveal the nature of the state



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Hadron interactions, exotic states (and more) via femtoscopy

## Accessing the S=-2 meson-baryon interaction

Extending previous Pb–Pb femtoscopic measurements to pp collisions Pb–Pb: ALICE Coll. Phys. Rev. C 103 (2021) pp: ALICE Coll. Phys. Lett. B 845 (2023) 138145

Several structures present in the measured correlation



ALI-PUB-562688

 $C(k^*)$ 

## Accessing the S=-2 meson-baryon interaction



## $K^-\Lambda$ correlations and the S=-2 meson-baryon sector



Energy

## $K^{-}\Lambda$ correlations and the S=-2 meson-baryon sector



### The $\Xi^- \pi^+$ correlation in pp collisions

Femto data for  $\Xi^-\pi^+$  down to threshold



## The $\Xi^- \pi^+$ correlation in pp collisions.

#### Femto data for $\Xi^-\pi^+$ down to threshold

Several states visible in the measured correlation

- $\Xi(1530)^0 \rightarrow \Xi^- \pi^+$  (B.R. 100%)
- $\Xi(1620)$  and  $\Xi(1690)$  as observed by Belle

Same modeling as in  $\Xi^-K^+$ 

R. Lednický, Phys. Part. Nucl. 40: 307-352 (2009)

• Evidence of strong attractive interaction

Breit-Wigner for  $\Xi(1620)$  and  $\Xi(1690)$  :

Mass and widths compatible with previous spectroscopic measurements



## Scattering parameters for the $\Xi^- \pi^+$ interaction

Rather shallow attractive interaction

 $\Re f_0 = 0.089^{\pm 0.007(stat)}_{\pm 0.009(syst)}$  $\Im f_0 = 0.007^{\pm 0.003(stat)}_{\pm 0.005(syst)}$ 

Available predictions from NLO chiral potentials constrained to S=-1 data

A. Feijoo et al. Phys. Lett. B 841 (2023), 137927, Phys. Lett. B 853 (2024) 138660

- Affected by large uncertainties
- Overall compatible with our results

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Novel high-precision data available to constrain this multi-strange meson-baryon sector!
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ALI-PREL-573636

## Conclusions and outlook

Most precise data on  $\Xi K$  and  $\Xi \pi$  at low momenta available

- Novel high-precision constraints on S=-1 and S=-2 baryon interactions available with correlation data
- Input for low-energy effective chiral lagrangians

**Femtoscopy** is a **complementary tool** to provide precision data on hadron-hadron interactions to **study exotic states** 

⇒ Possibility to explore other relevant systems in these sectors with **ongoing Run 3!** 



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### $N-\Omega$ meson-exchange potential

Other approaches [meson-exchange <u>T. Sekihara et al., Phys. Rev. C 98, 015205 (2019)</u>, M. Piquer i Méndez et al., arXiv:2409.16747 [nucl-th] (2024); quark model H Huang et al., Phys. Rev. C 92, 065202 (2015)] predict as well a  $J = 2 N-\Omega$  bound state





FIG. 1. Feynman diagrams for the  $N\Omega$  interaction. The dashed lines represent the pseudoscalar mesons, while the solid and double lines indicate baryons. Shaded circle denotes the correlation of two mesons, and B(qqs)B(qss) represents  $\Lambda \Xi$ ,  $\Sigma \Xi$ , and  $\Lambda \Xi(1530)$ .

$$V = V_A + V_B + c V'_C + \sum_{j=2}^{6} V_{box(j)}$$

Long-range: meson-exchange (a),(b)

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Short range: contact term, coupled through constant c

-  $c = -22.1 \text{ GeV}^{-1}$  fixed by fit to Lattice QCD potential

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$$V = V_A + V_B + C V'_C + \sum_{j=2}^{6} V_{box(j)} \implies V = V_A + V_B + \beta c V'_C + \sum_{j=2}^{6} V_{box(j)}$$

Long-range: meson-exchange (a),(b)

**Short range:** contact term, coupled through constant *c* 

-  $c = -22.1 \text{ GeV}^{-1}$  fixed by fit to Lattice QCD potential

⇒ Tuning of the short-range part using femtoscopy data:

- Multiplicative parameter β weights the contact term
- Starting point  $\beta=1$  (original potential fitted to Lattice)

# Tuning the p- $\Omega$ potential with femtoscopy data



0.4 0.2

## Tuning the p- $\Omega$ potential with femtoscopy data



Pin down the presence and characteristics of NΩ state:
⇒ Experimental info on coupled channels: ΞΛ ALICE Coll. PLB844 (2023) 137223
⇒ Different collision systems → scan different source sizes
⇒ ML approaches for multivariate analysis L. Wang, JSPC 3 (2025) 100024

M. Piscitelli @ ALICE Italy 2024

- J=2 only: large  $\chi^2$  values
- Indetermination on J=1: large variation in β values





## Studying molecular states

Intensive searches via spectroscopy measurements:  $\Xi(1620)$ ,  $\Xi(1690)$  states in the S=-2 sector  $\rightarrow \Xi(1620)$  lying across the  $\overline{K}\Lambda$  threshold as molecular candidate, poorly known



## Accessing the S=-2 meson-baryon interaction

Femtoscopy: most precise data for  $\Lambda K^-$  down to threshold ALICE Coll. Phys. Lett. B 845 (2023) 138145





Model: Interplay between **resonant (Flatté-like)** and **non-resonant** interaction

- First experimental evidence of  $\Xi(1620) \rightarrow \Lambda K^-$ 

### $\Rightarrow$ $\Xi$ (1620) and $\Xi$ (1690) properties

- Overall compatible with previous Belle and LHCb results
- Indication of a large coupling of  $\Xi(1620)$  to  $\Lambda K^-$

Hadron interactions, exotic states (and more) via femtoscopy

## Accessing the S=-2 meson-baryon interaction

Femtoscopy also delivers the most precise data down to threshold in the  $\Xi\pi^-$  channel!





## Deuteron femtoscopy: test the emission time

New femtoscopy results available utilizing deuteron femtoscopy

- p-d and d-d correlation functions in Au+Au collisions  $\Rightarrow$  test coalesence afterburners STAR Coll. 2410.03436 [nucl-ex]
- p-d and K<sup>+</sup>-d femtoscopy in pp collisions  $\Rightarrow$  access dynamics of three-body systems ALICE Coll. Phys. Rev. X 14, 031051 (2024)

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### K<sup>+</sup>-d correlation function in pp collisions:

Interaction: with Lednicky model using K<sup>+</sup>-d known scattering parameters

- ER (effective-range approximation):  $a_0 = -0.47$  fm,  $d_0 = -1.75$  fm
- FCA (fixed-center approximation):  $a_0 = -0.54$  fm,  $d_0 = 0$  fm

<u>Source</u>: Gaussian + effects of short lived resonances from p-p  $m_{T}$  scaling

### ⇒ Coulomb + strong interaction + small radius describes the data

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## CECA model for particle emission in small coll. systems



#### CECA free parameters:

- $r_d \sim 0.3 \text{ fm} \rightarrow \text{Position of initial scattering}$
- $h^{\sim}$  -3 fm  $\rightarrow$  Hadronisation parameter
- $\tau \sim 3 \text{ fm/c} \rightarrow \text{Decoupling time}$

**CECA:** MC simulation of single particles and resonances

D. Mihaylov, J. González, Eur.Phys.J.C 83 (2023) 7, 590

- Assume a common ellipsoidal 'hadronization surface' ⇒ serves as a source of spatial-momentum correlations
- Effects of short-lived resonances decay taken into account

### • Reproduces $m_{\tau}$ scaling of source size.

Parameters fixed by p-p, p-A femtoscopy data in pp coll. ALICE



## Deuteron emission time in CECA

Test two scenarios for deuteron production in CECA adding a deuteron delay  $\tau_{delay}$ 

#### **Scenario A**

deuteron formed via <u>coalesence</u> of nucleons produced <u>after resonance decay</u>

#### Scenario B primary production of deuterons



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## Maximum allowed deuteron emission time

O. Vazquez Doce, D. Mihaylov, L. Fabbietti, Eur. Phys. J. A 61, 53 (2025)



### **Extract** τ<sub>delay</sub> by fitting K<sup>+</sup>-d data with **Coulomb+strong interaction + CECA source**

Scenario A: deuteron after resonances

- Best fit:  $\tau_{delay} = 1 \text{ fm/c}$
- Maximum allowed (3 $\sigma$ )  $\tau_{delay} = 2.25$  fm/c Scenario B: primary produced deuterons
  - Best fit:  $\tau_{delay} = 3.5 \text{ fm/c}$

- Maximum allowed (3
$$\sigma$$
)  $\tau_{delay} = 4.75$  fm/c

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## Maximum allowed deuteron emission time

O. Vazquez Doce, D. Mihaylov, L. Fabbietti, Eur. Phys. J. A 61, 53 (2025)



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  - Best fit:  $\tau_{delay} = 3.5 \text{ fm/c}$
  - Maximum allowed (3 $\sigma$ )  $\tau_{delay}$  = 4.75 fm/c
  - ⇒ <u>Favor</u> early formation of deuteron as extended, weakly bound composite object in pp collisions at the LHC
  - ⇒ <u>Disfavor</u> a compact doorway state reaching proper size and binding energy after a time > 5 fm/c

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## Femtoscopy addressing key challenges in Hadron Physics

#### Checklist

- Test hadron-hadron interactions
   ⇒ study the formation of bound states
- Complement spectroscopy
   ⇒ study molecular states
- Reveal the signatures of formation mechanisms of light nuclei

# thank you for your attention!



## ΞΛ femtoscopy in pp collisions



Physics Letters B 844 (2023) 137223 ALICE Coll.

## room for larger delay?

6.5 fm delay  $\geq 5\sigma$ 

