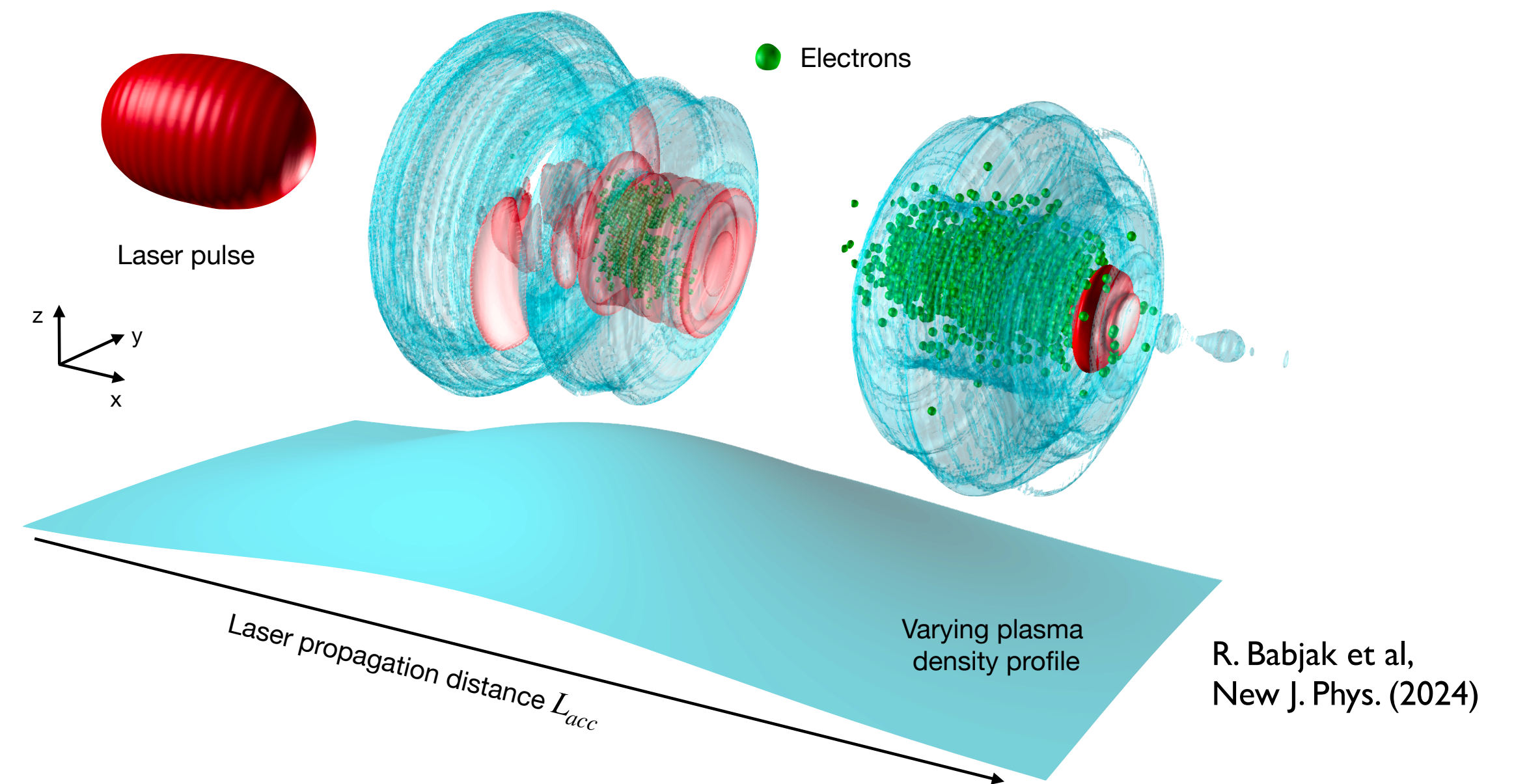
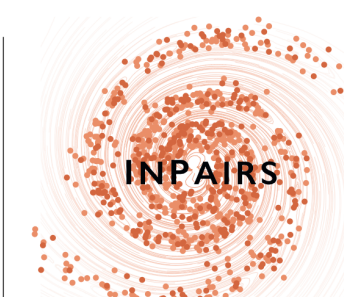


# Direct laser acceleration (and what you can do with it)



[epp.tecnico.ulisboa.pt](http://epp.tecnico.ulisboa.pt) || [golp.tecnico.ulisboa.pt](http://golp.tecnico.ulisboa.pt)



*IST, U. Lisbon:* **R. Babjak, O. Amaro, B. Barbosa,** S. Pustova, L. Inigo-Gamiz, B. Martinez, T. Grismayer, R. A. Fonseca, L. O. Silva

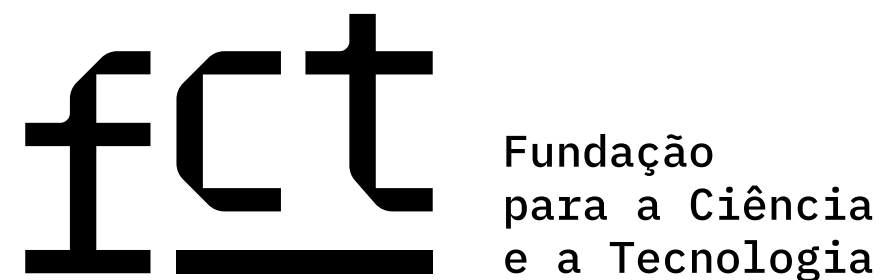
*UCLA:* R. Lee, J. Pierce, M. Almanza, F. Li, V. Decyk, E. P. Alves, W. B. Mori

*U. Rochester:* K. Miller, J. Palastro, K. Weichman

*U. Michigan:* L. Willingale, H. Tang, Q. Qian, A. G. R. Thomas

*U. C. S. D.:* A. Arefiev

Simulation results obtained at Jugene/Juqueen, SuperMUC, Jaguar, Fermi/Marconi, Salomon, MareNostrum, Lumi, Karolina.



Supported by the  
Seventh Framework  
Programme of the  
European Union







# Osiris 4.0

# Open-source version available

## Open-access model

- 40+ research groups worldwide are using OSIRIS
- 400+ publications in leading scientific journals
- Large developer and user community
- Detailed documentation and sample inputs files available
- Support for education and training

## Using OSIRIS 4.0

- The code can be used freely by research institutions after signing an MoU
- Open-source version at:

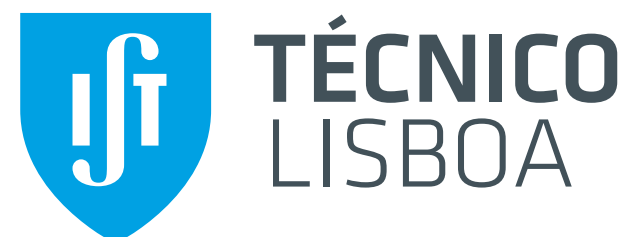
<https://osiris-code.github.io/>

## OSIRIS framework

- Massively Parallel, Fully Relativistic Particle-in-Cell Code
- Support for advanced CPU / GPU architectures
- Extended physics/simulation models
- AI/ML surrogate models and data-driven discovery



UCLA



Ricardo Fonseca: [ricardo.fonseca@tecnico.ulisboa.pt](mailto:ricardo.fonseca@tecnico.ulisboa.pt)



**Electron acceleration**

**Positron creation and acceleration**

**Radiation generation**

# Introducing electron acceleration with DLA



# Why accelerating electrons? And why with DLA?

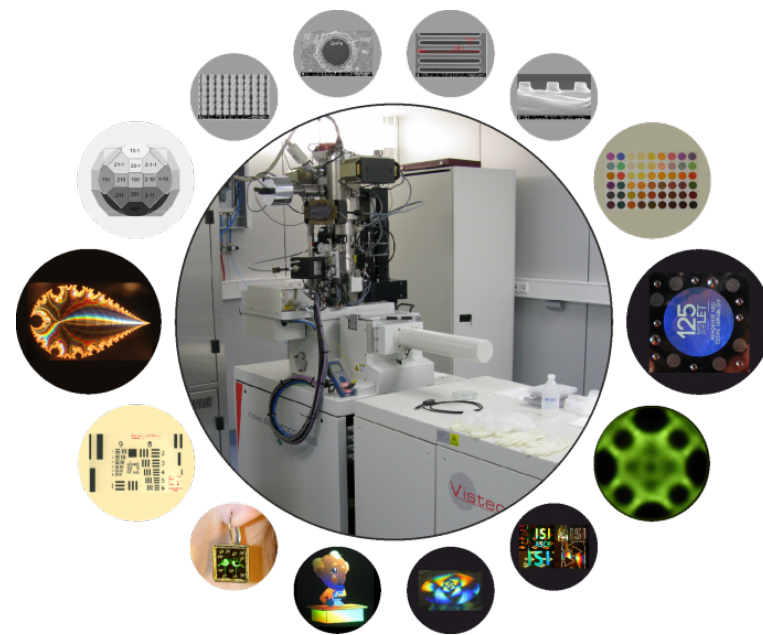
## Electron acceleration

### Medicine



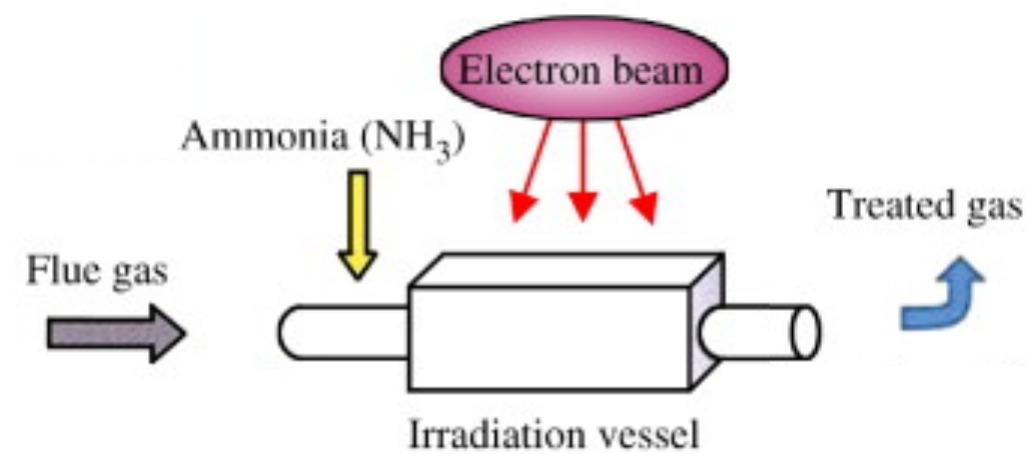
Credits: National Cancer Institute

### Industry



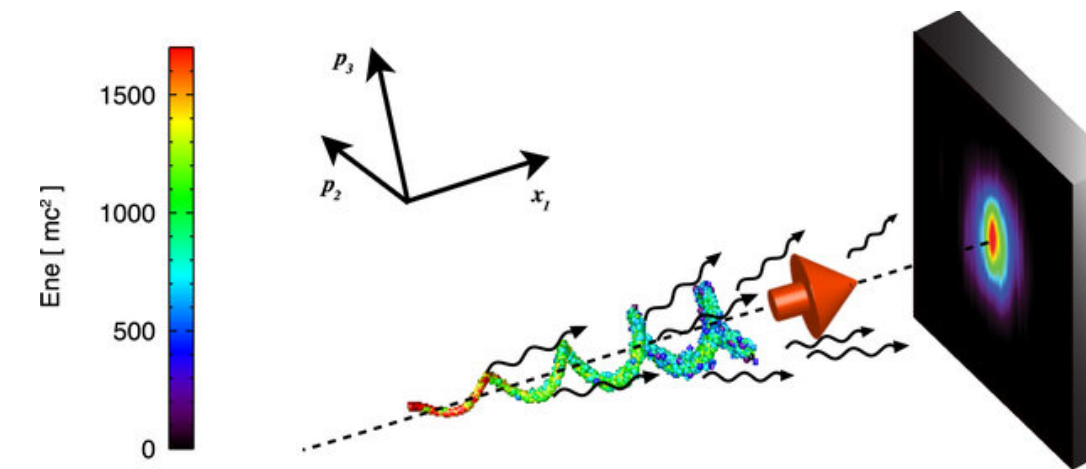
Credits: Institute of Scientific Instruments  
Czech Academy of Sciences

### Environment



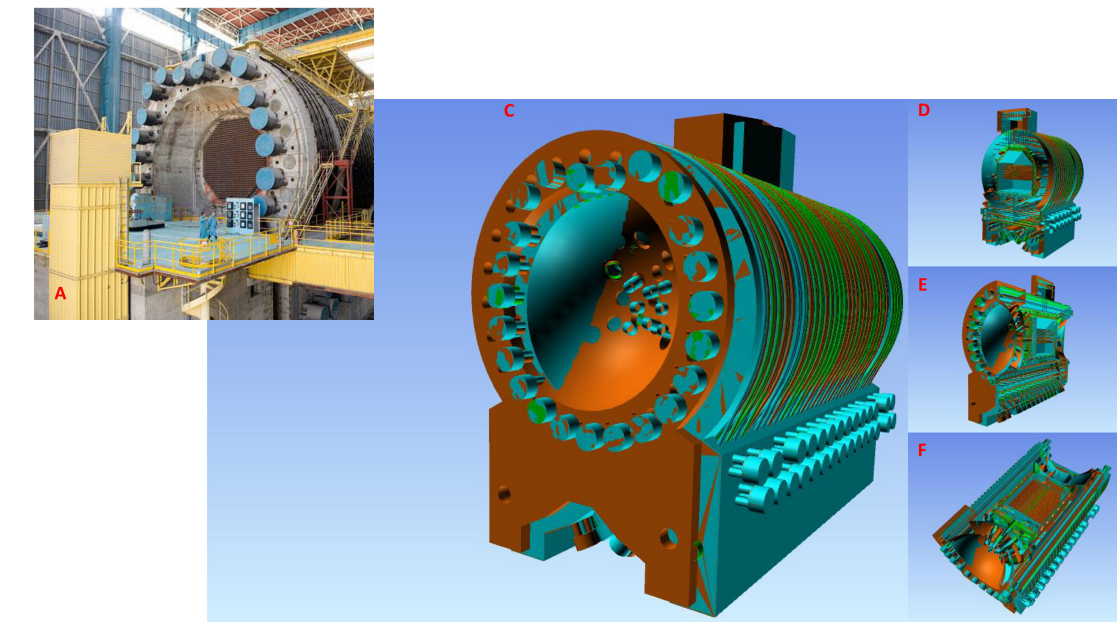
M. Callen et al, Fuel Process. Technol. (2007)

## Science & emerging technologies



M.Vranic et al, New J. Phys. (2016)

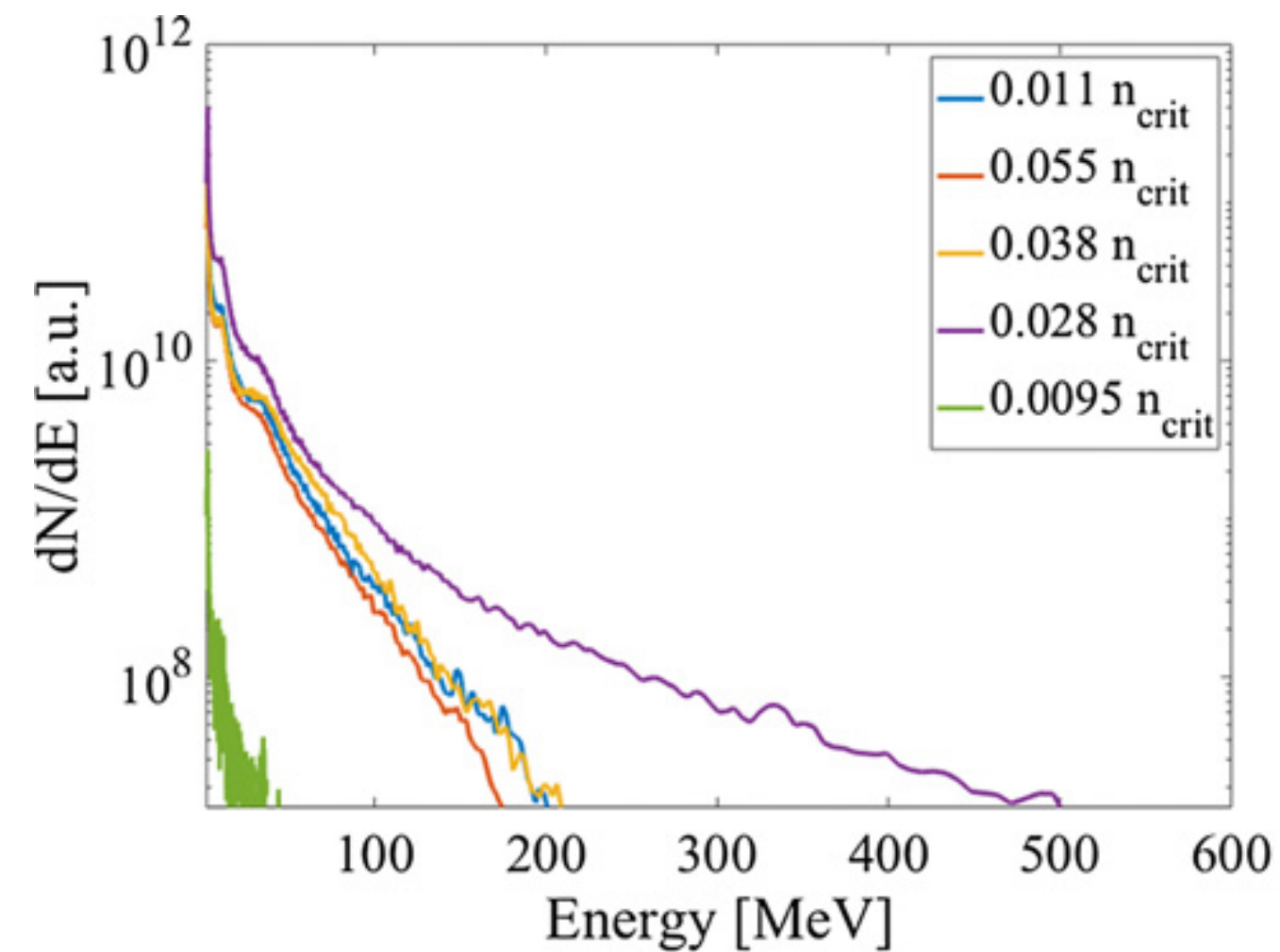
- Radiation sources
- Particle sources
- Material science
- Safety of nuclear devices



S. Procureur et al, Sci. Adv. (2023)

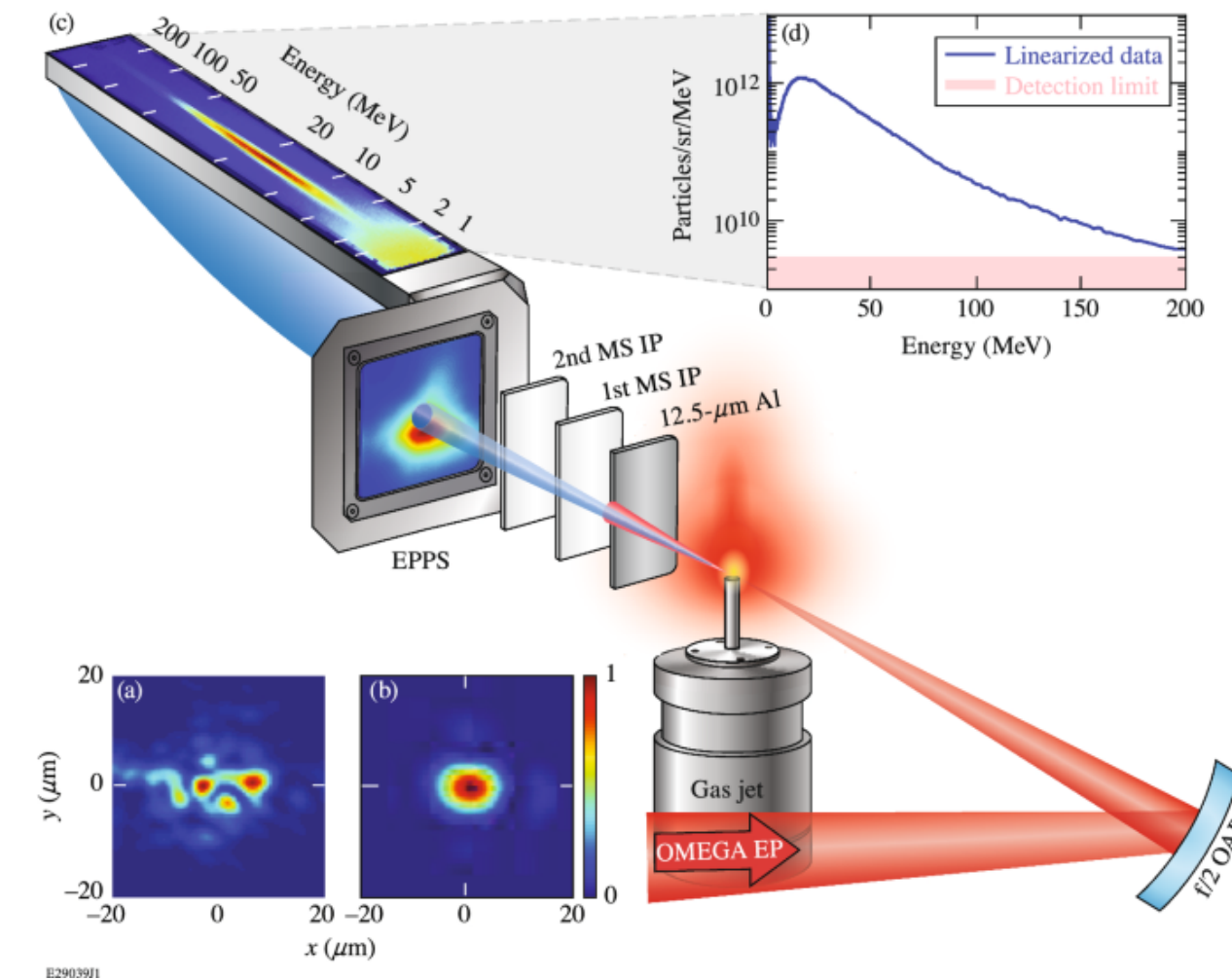
# Direct laser acceleration produces high-charge electron beams

100s MeVs with micro-Coulomb charge obtained so far (micrometer-level source size)



Charge > 100 nC

A. Hussein et al., New J. Phys (2021)



Charge  $\sim 0.7 \mu\text{C}$

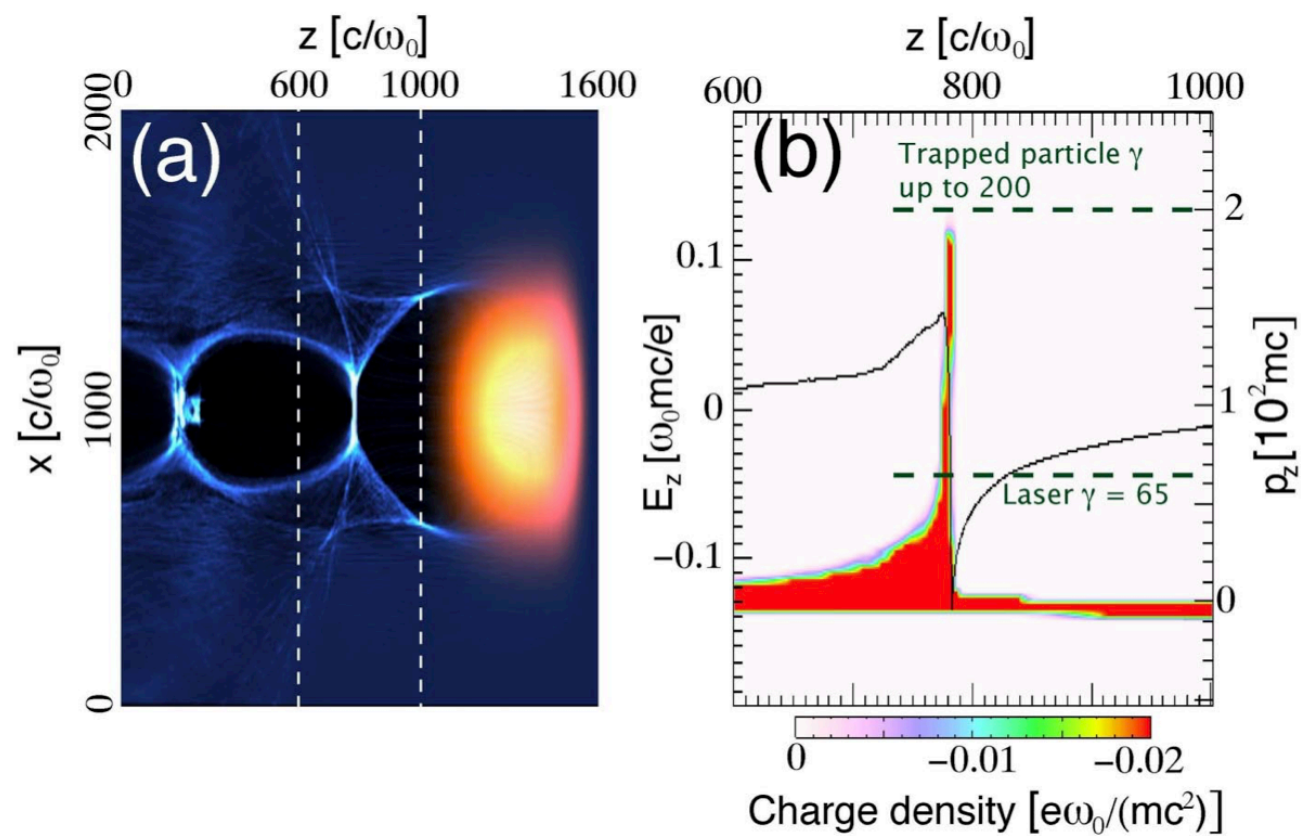
J. Shaw et al., Sci. Rep (2021)



# 10-1000x more electrons than LWFA, and 100x higher density

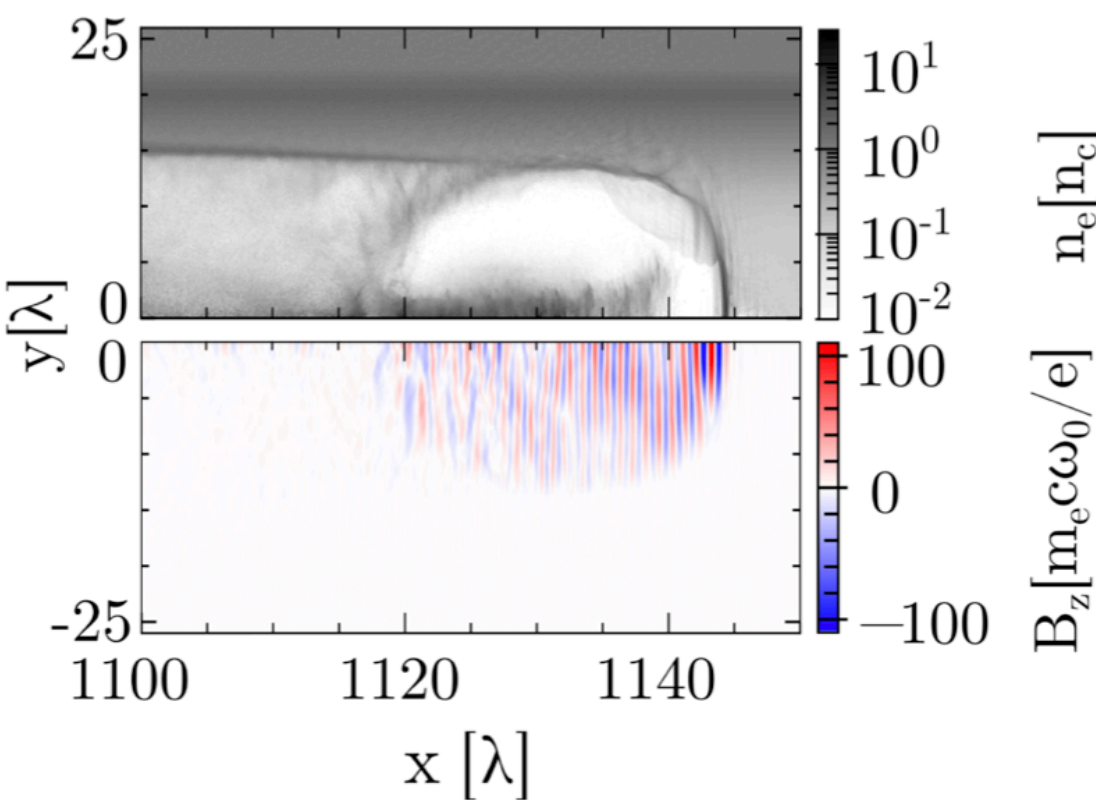
Can we accelerate these beams to multi-GeV?

## Laser wakefield acceleration



W.Lu et al., Phys. Rev. Acc. Beams (2007)

## Direct laser acceleration



R. Babjak et al., Phys. Rev. Lett. (2024)

	LWFA	DLA
Total Charge	10s - 100s of pC	10s - 100s of nC
Beam Density	$< 10^{19} \text{ cm}^{-3}$	$< 10^{21} \text{ cm}^{-3}$
Energy Distribution	Quasi-Monoenergetic - 1s GeV	Maxwellian - 100s MeV
Beam Length	10s fs	10s - 100s fs



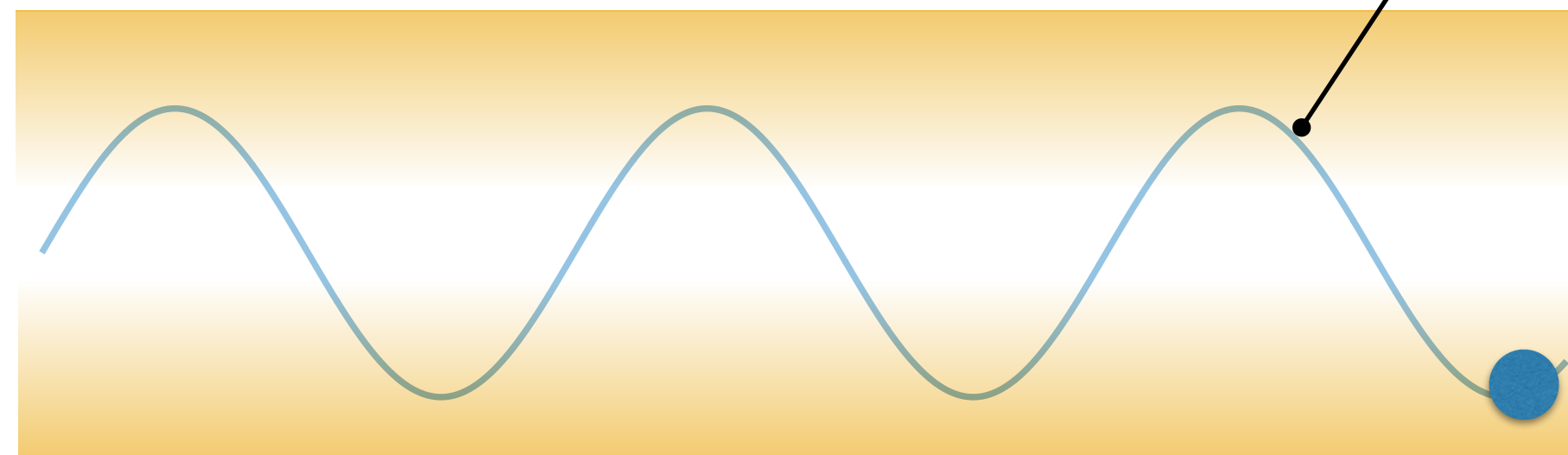
# Introducing the physics of DLA

# Basic idea behind the DLA mechanism

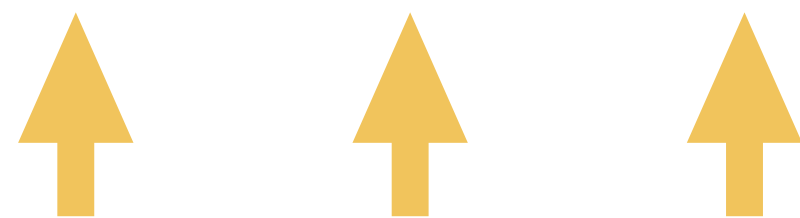
Transverse Lorentz force due to the channel fields



The electrons perform betatron oscillations within the channel



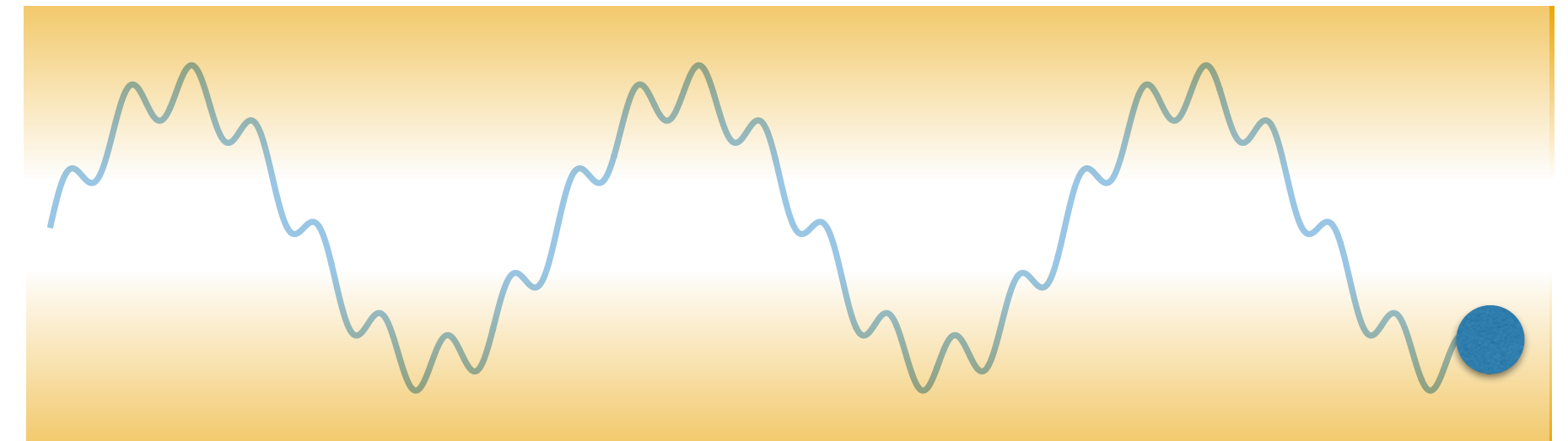
Transverse Lorentz force due to the channel fields



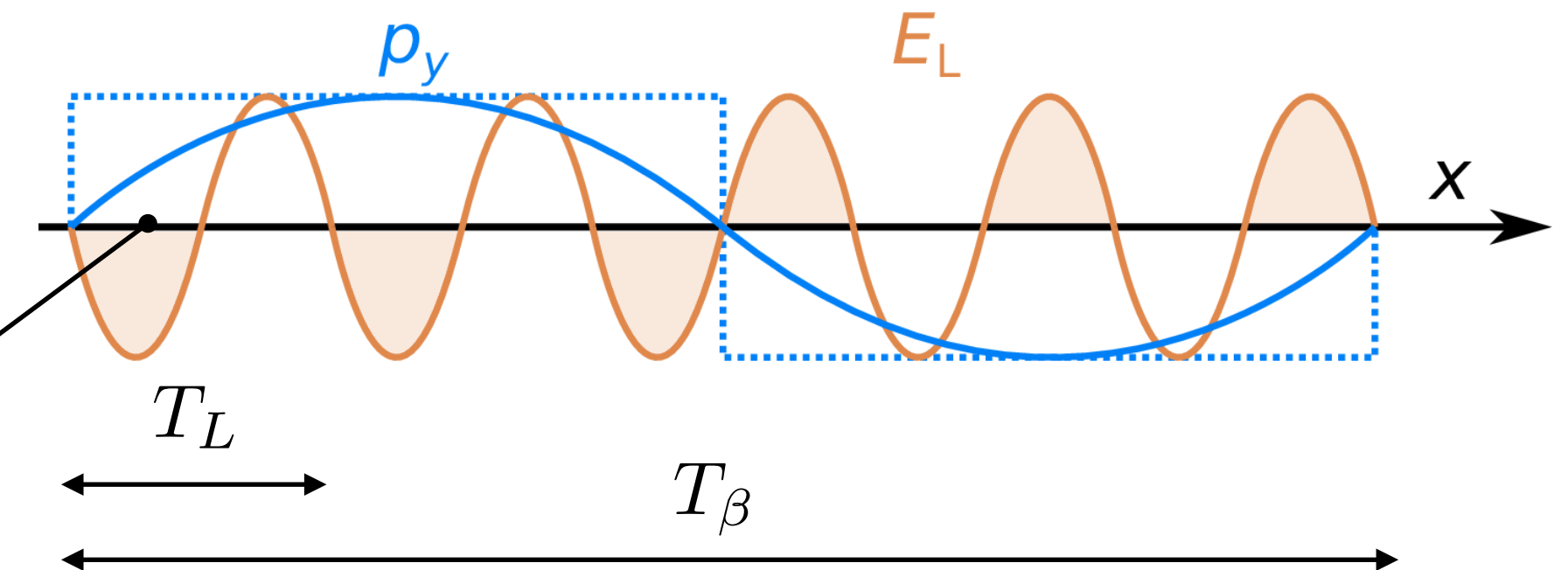
Relativistic electron direction of motion

Regions where the work of the laser field is “constructive” on e<sup>-</sup>.

When laser co-propagates with electrons

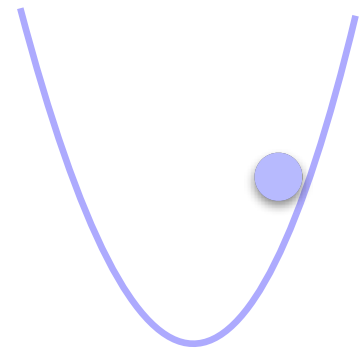


Laser propagation direction



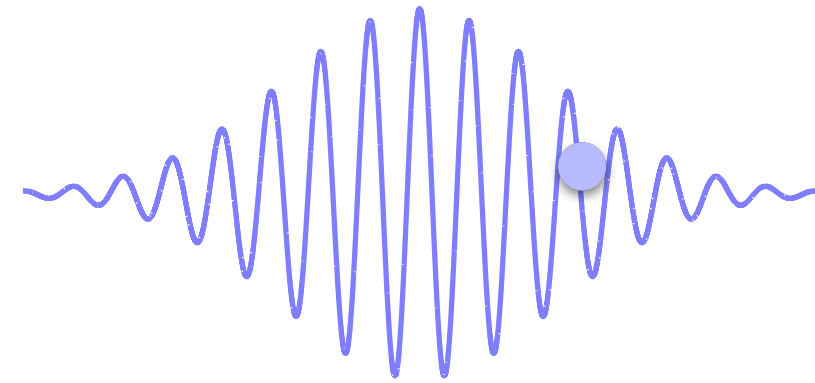
# Electron motion in laser + channel field can become resonant

Harmonic oscillator



$$I \sim mgh_{\max} \sim \text{const.} \times R^2$$

Electron in an intense plane wave



$$I \sim \gamma - \frac{p_x}{mc}$$

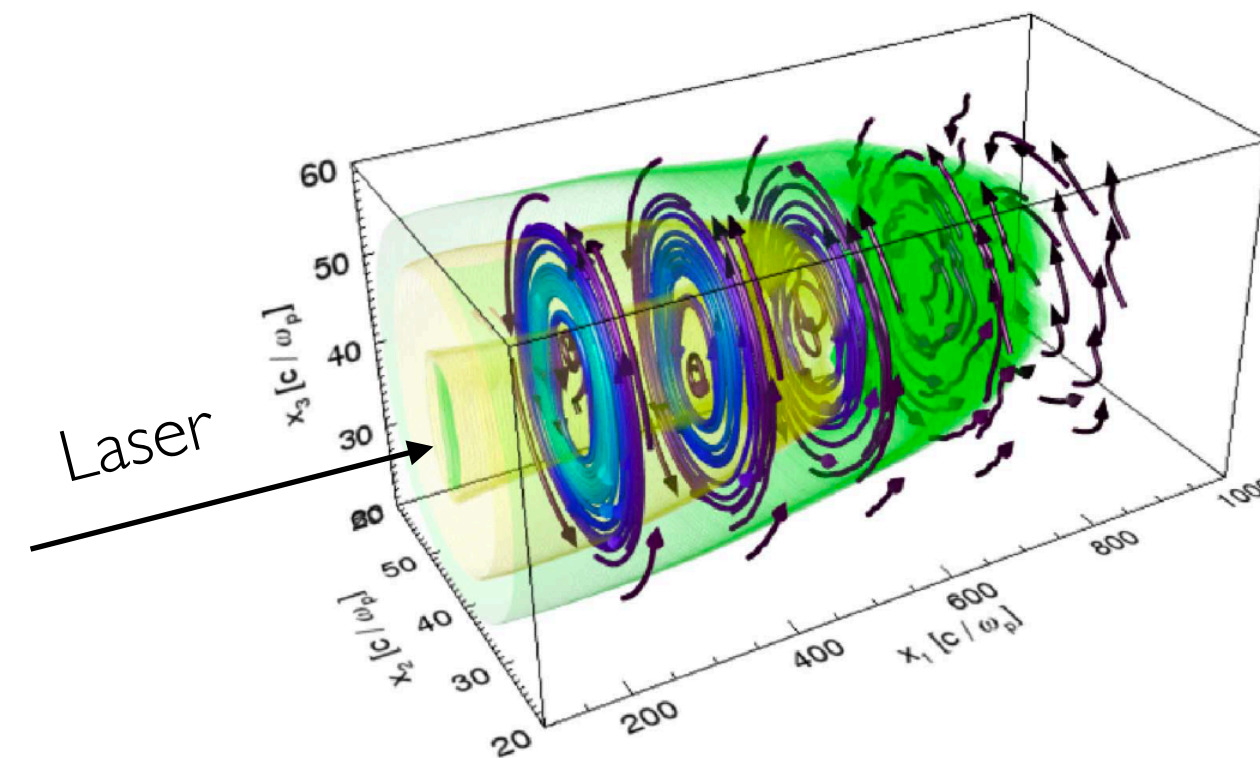
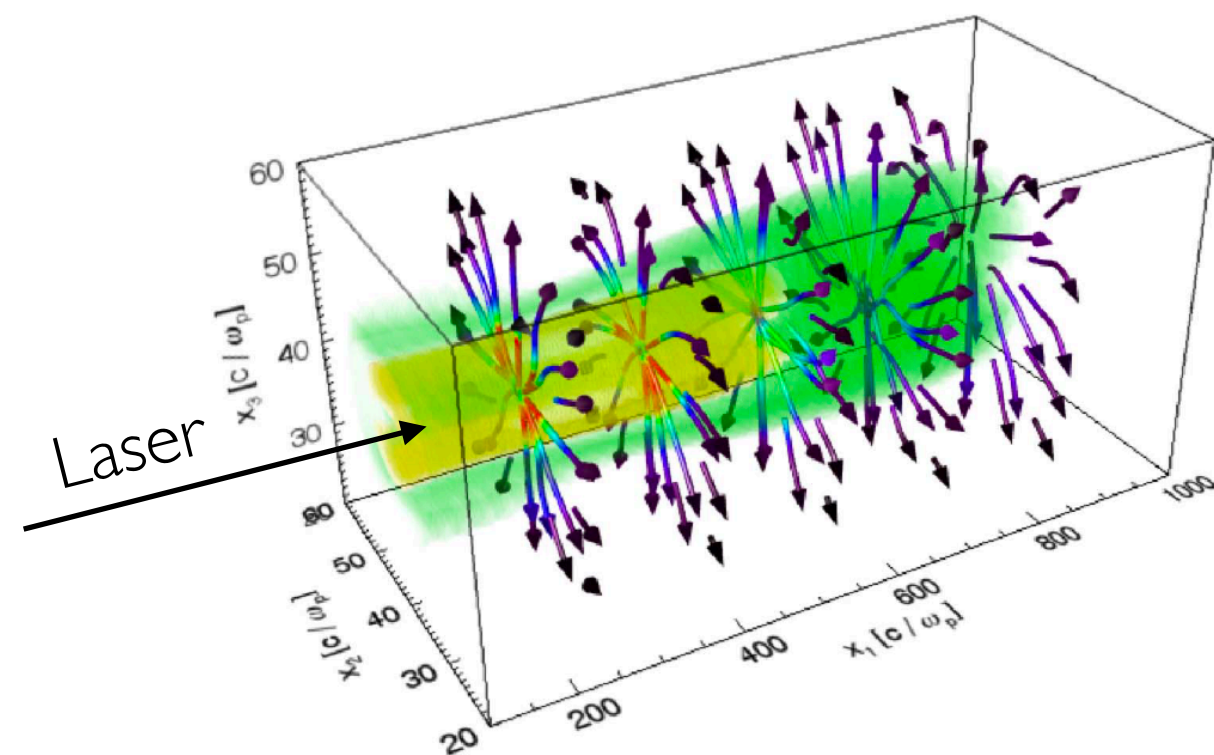
Electron in a plasma channel + intense wave



$$\omega_L \simeq \omega_0 \frac{I}{\gamma} \cos^2 \psi$$

$$\omega_\beta \simeq \frac{\omega_p}{\sqrt{2\gamma}}$$

$$I \sim \gamma - \frac{p_x}{mc} + \frac{\omega_p^2}{4c^2} R^2$$



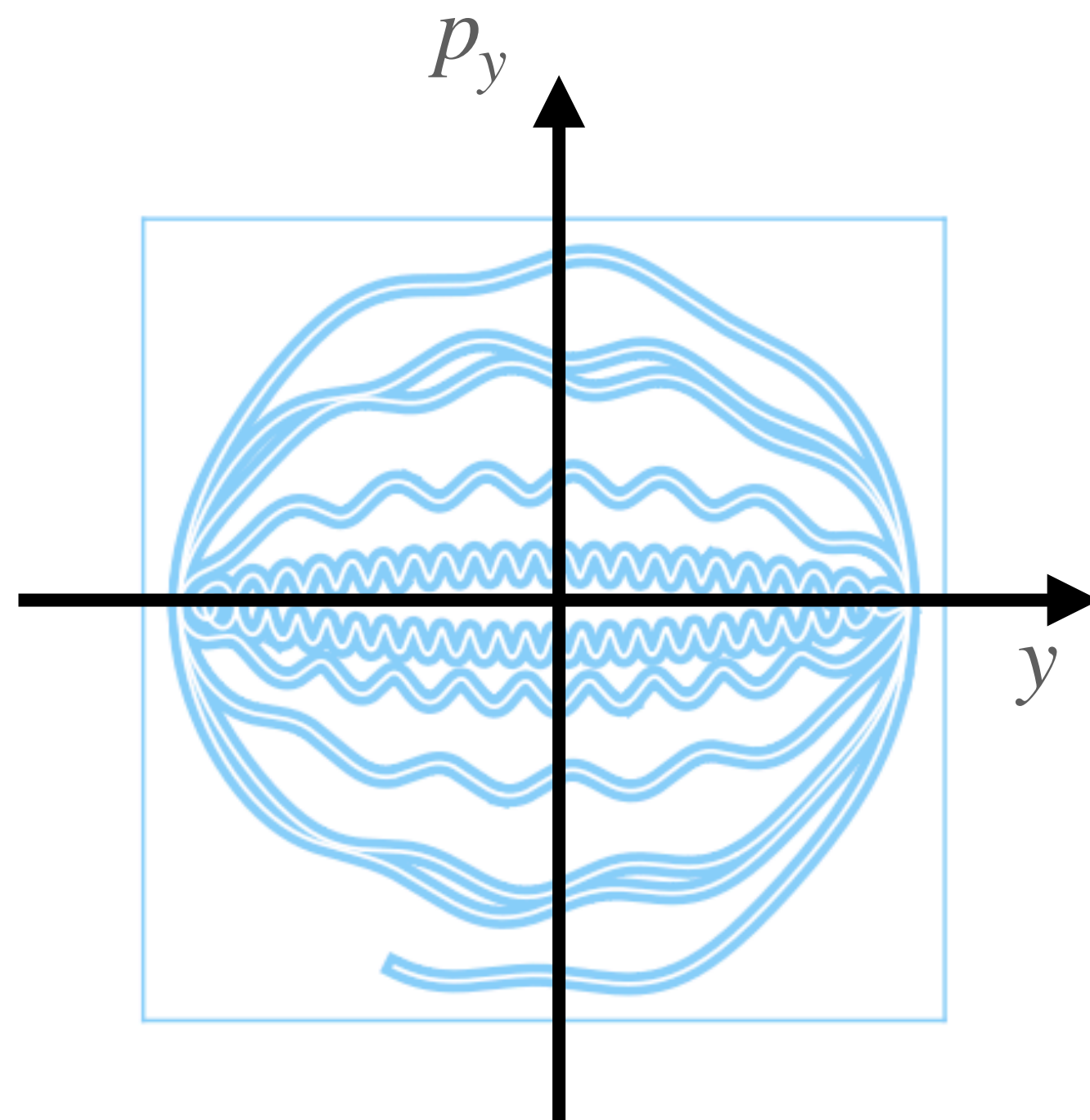
Resonant condition

$$\omega_\beta \simeq \omega_L \quad \gamma^* \simeq 2I^2 \left( \frac{\omega_0}{\omega_p} \right)^2 \cos^4 \psi$$

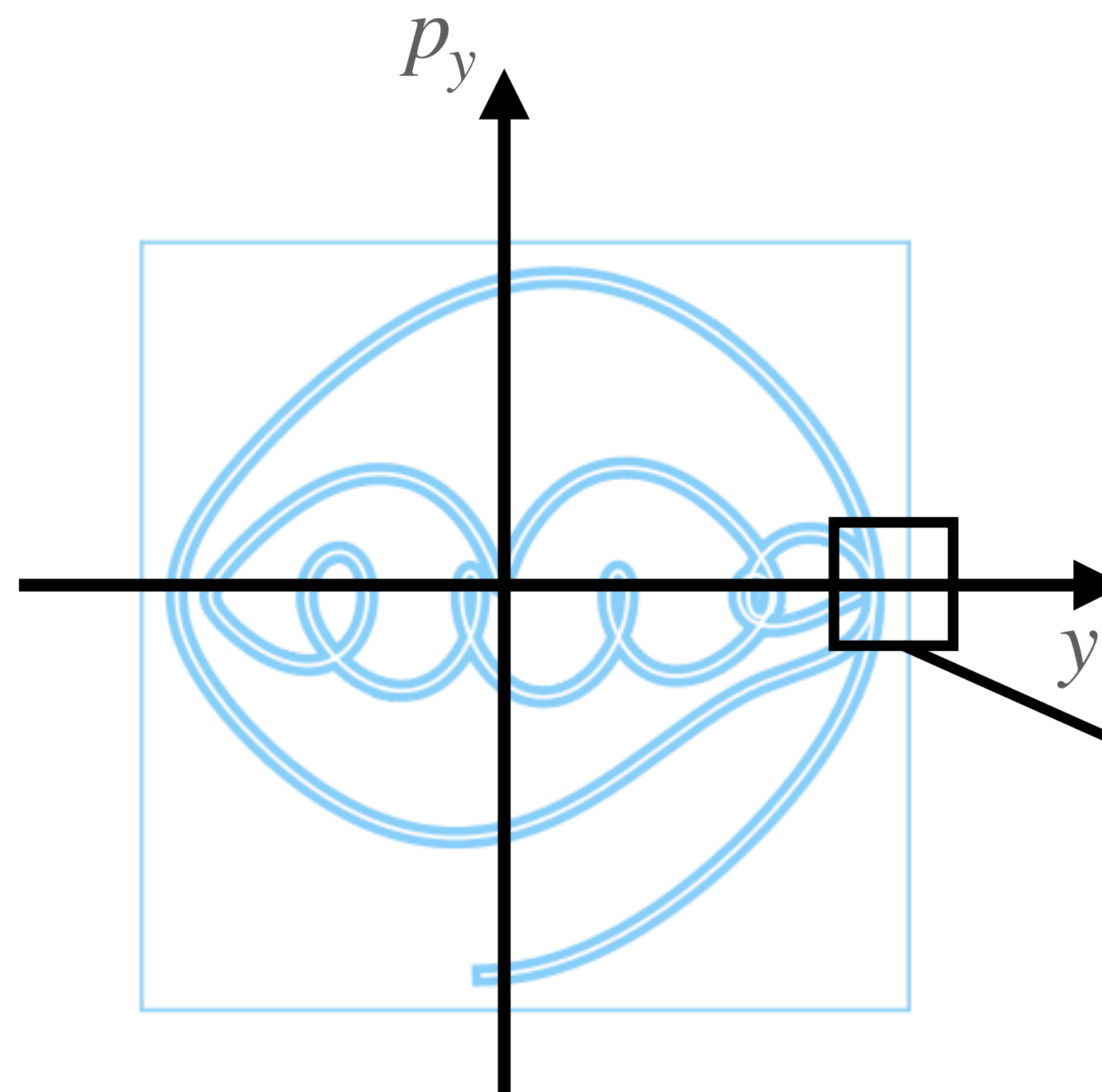


# Acceleration bursts off-resonance happen at the maximum distance $y$ from the axis (two consecutive accelerating half-cycles)

Transverse phase space



Transverse phase space

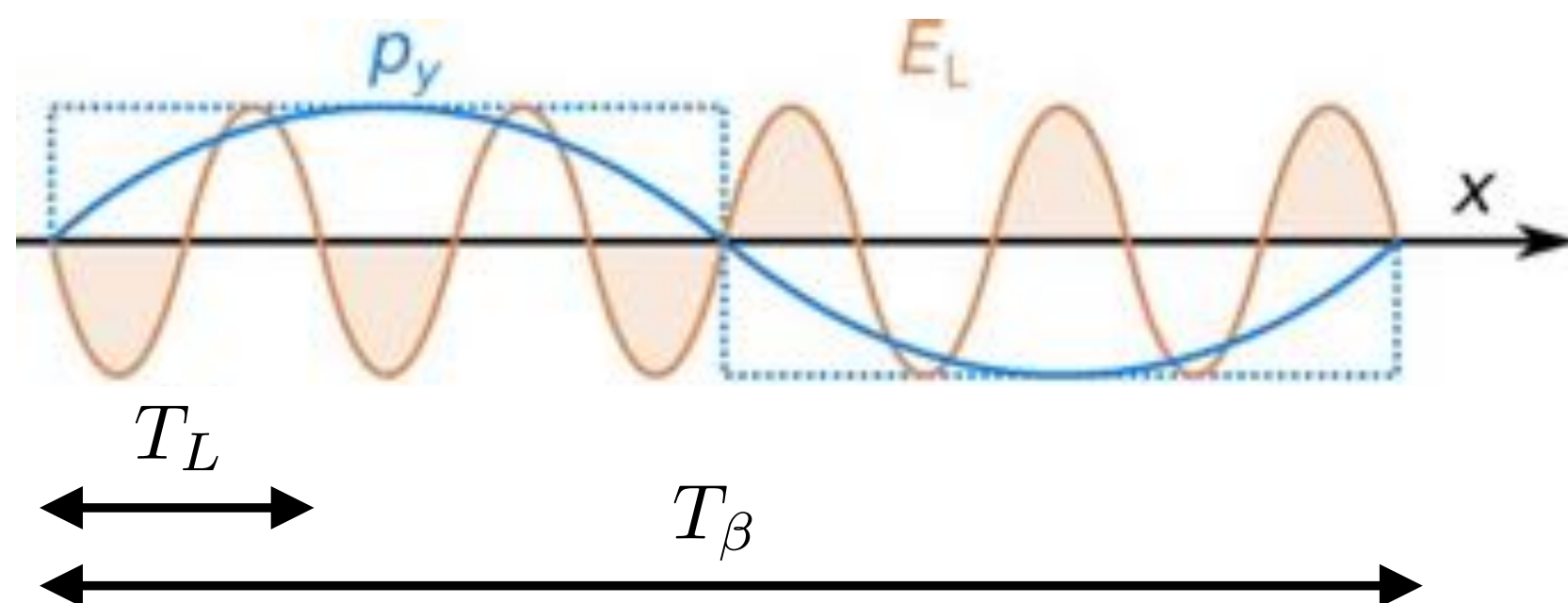


$$\varepsilon = \frac{\omega_p a_0}{\omega_0 I^{3/2}}$$

A.Arefiev et al., Phys. Plasmas (2014)  
V. Khudik et al., Phys. Plasmas (2016)

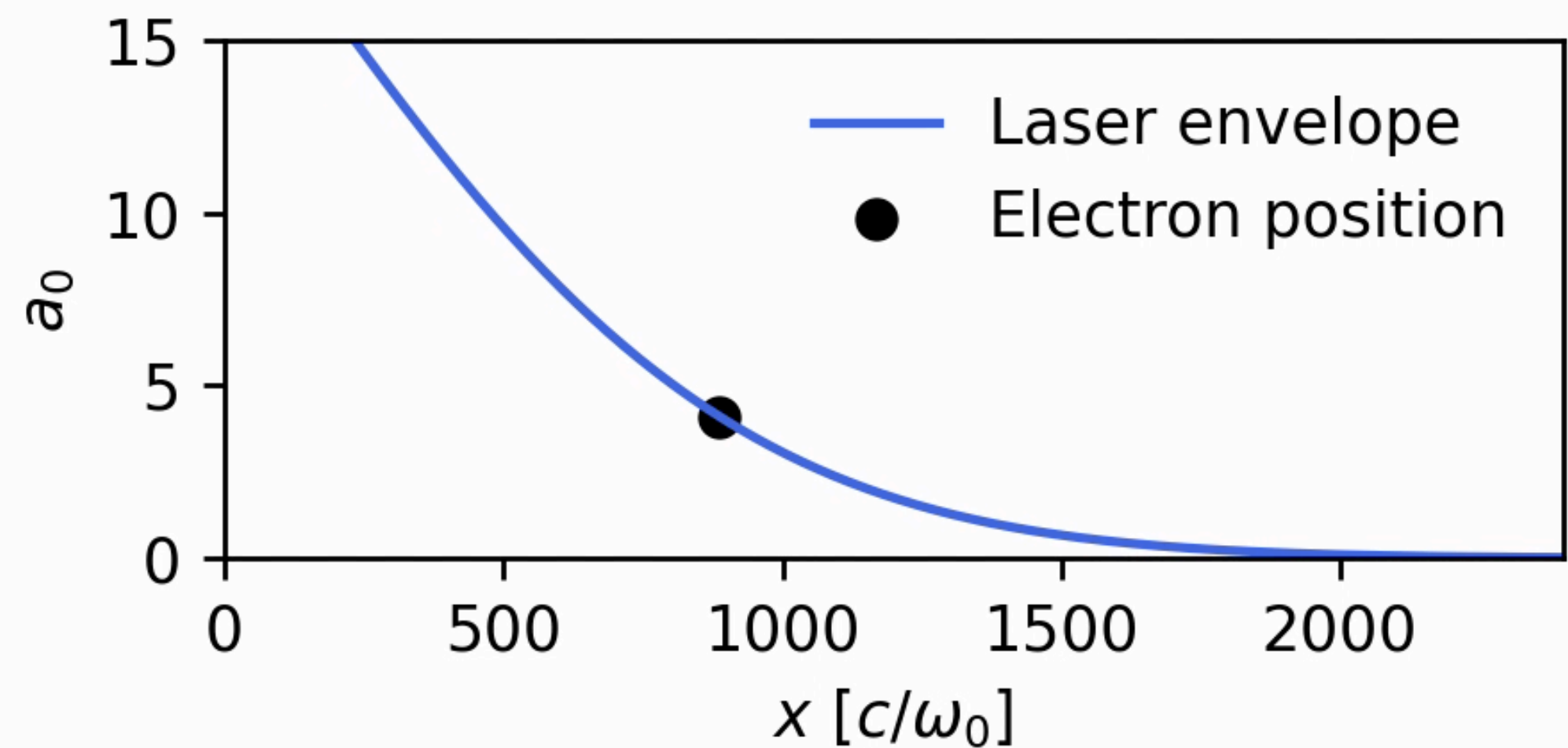
$$\Delta W \sim \varepsilon \gamma 8\pi$$

R. Babjak et al, Phys. Rev. Lett. (2024)



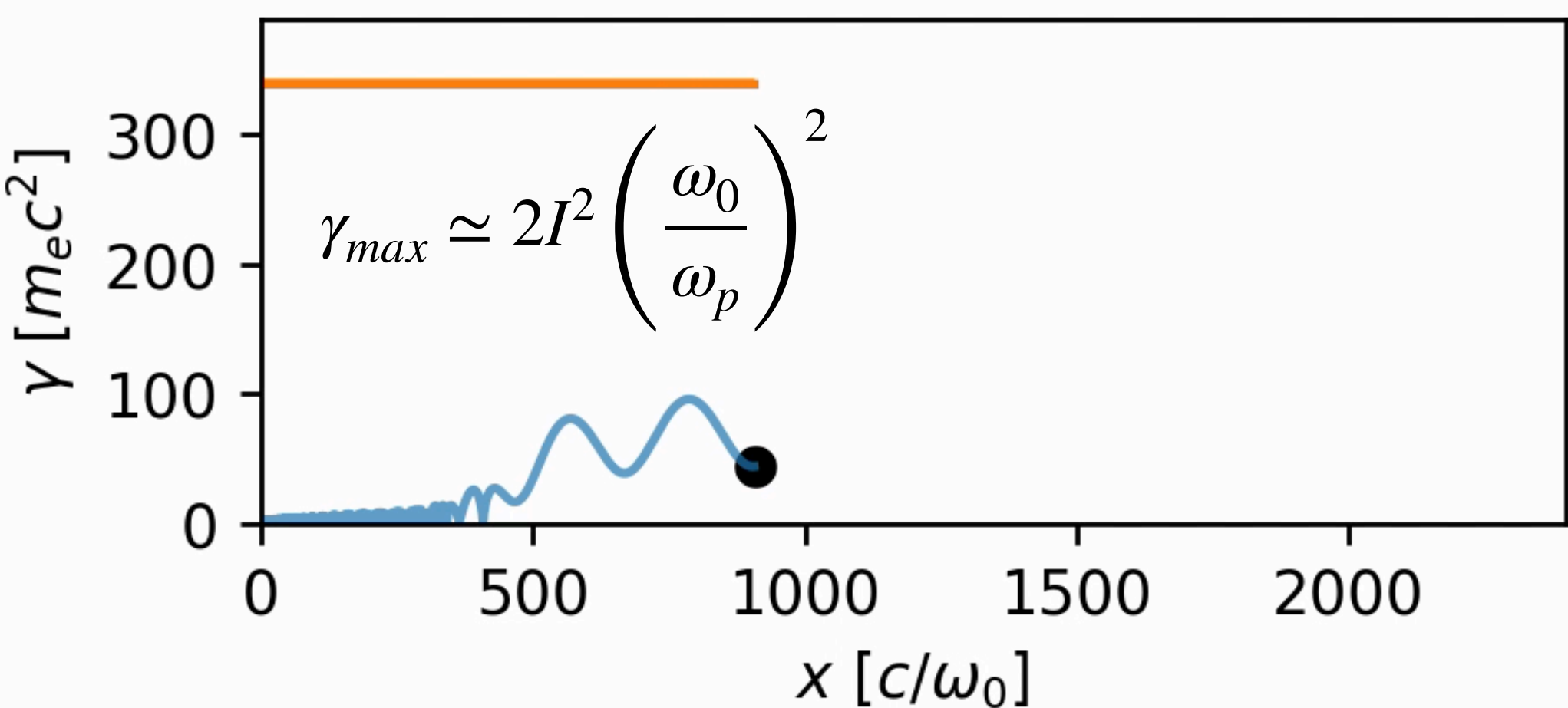
Off-resonance there is usually no net acceleration, because each electron experiences acceleration when  $p_y \downarrow E_y$  followed by deceleration when  $p_y \uparrow E_y$

# Transition into resonance and acceleration afterwards



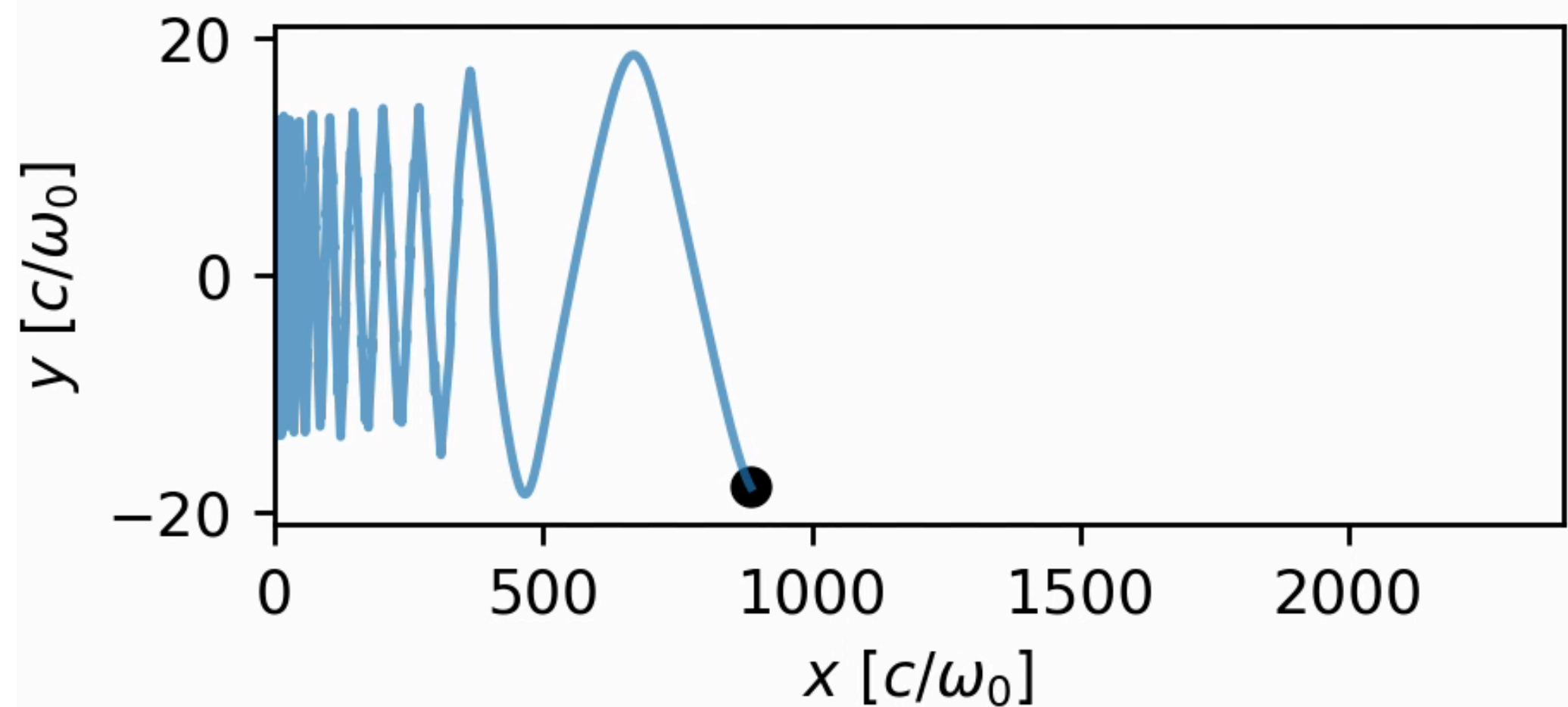
$$\omega_\beta = \frac{\omega_p}{\sqrt{2\gamma}}$$

Betatron frequency



$$I = \gamma - \frac{p_x}{m_e c} + \frac{\omega_p^2 y^2}{4c^2}$$

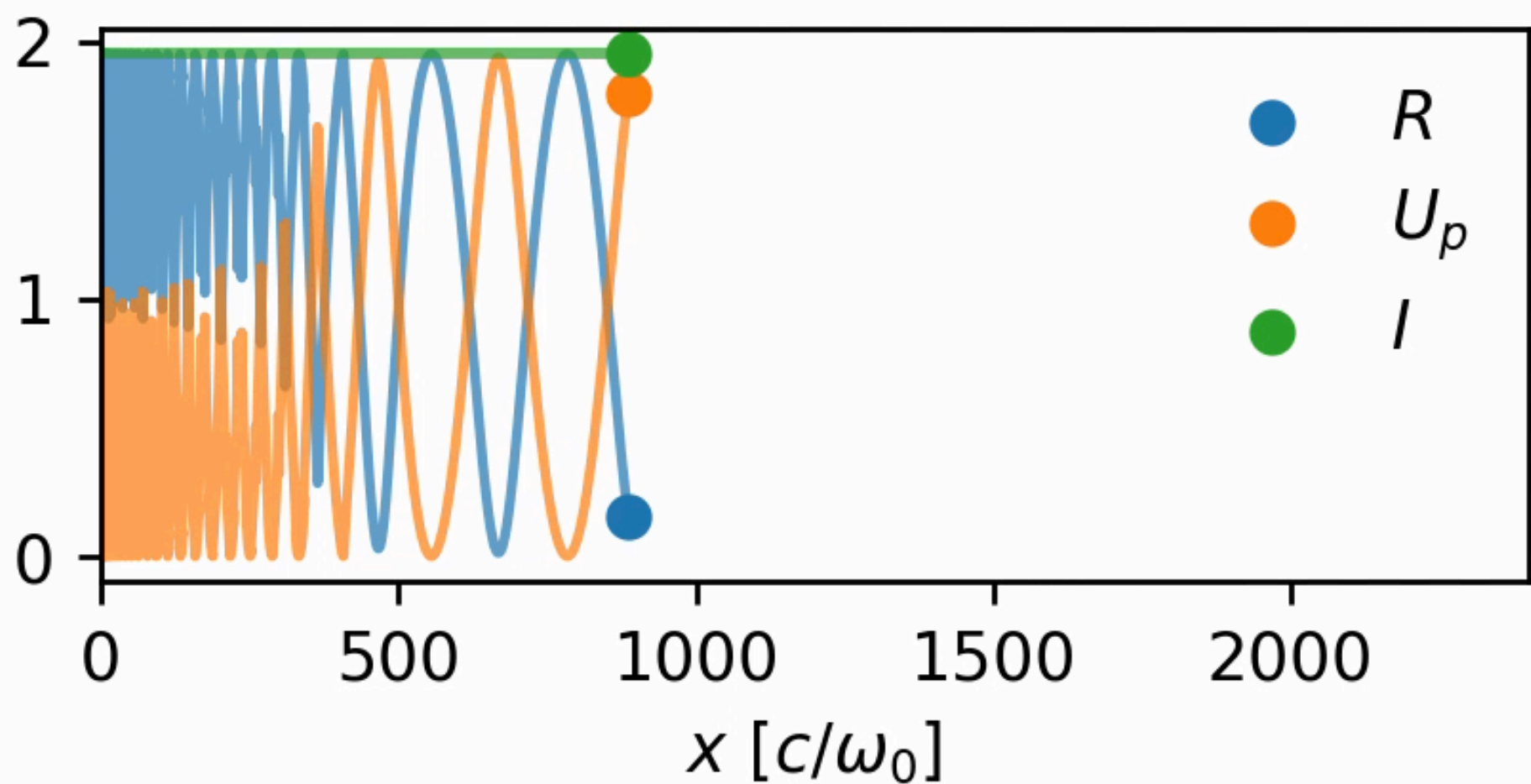
Integral of motion



Initial conditions

$$y_0 = 19c/\omega_0$$

$$\omega_p/\omega_0 = 0.15$$



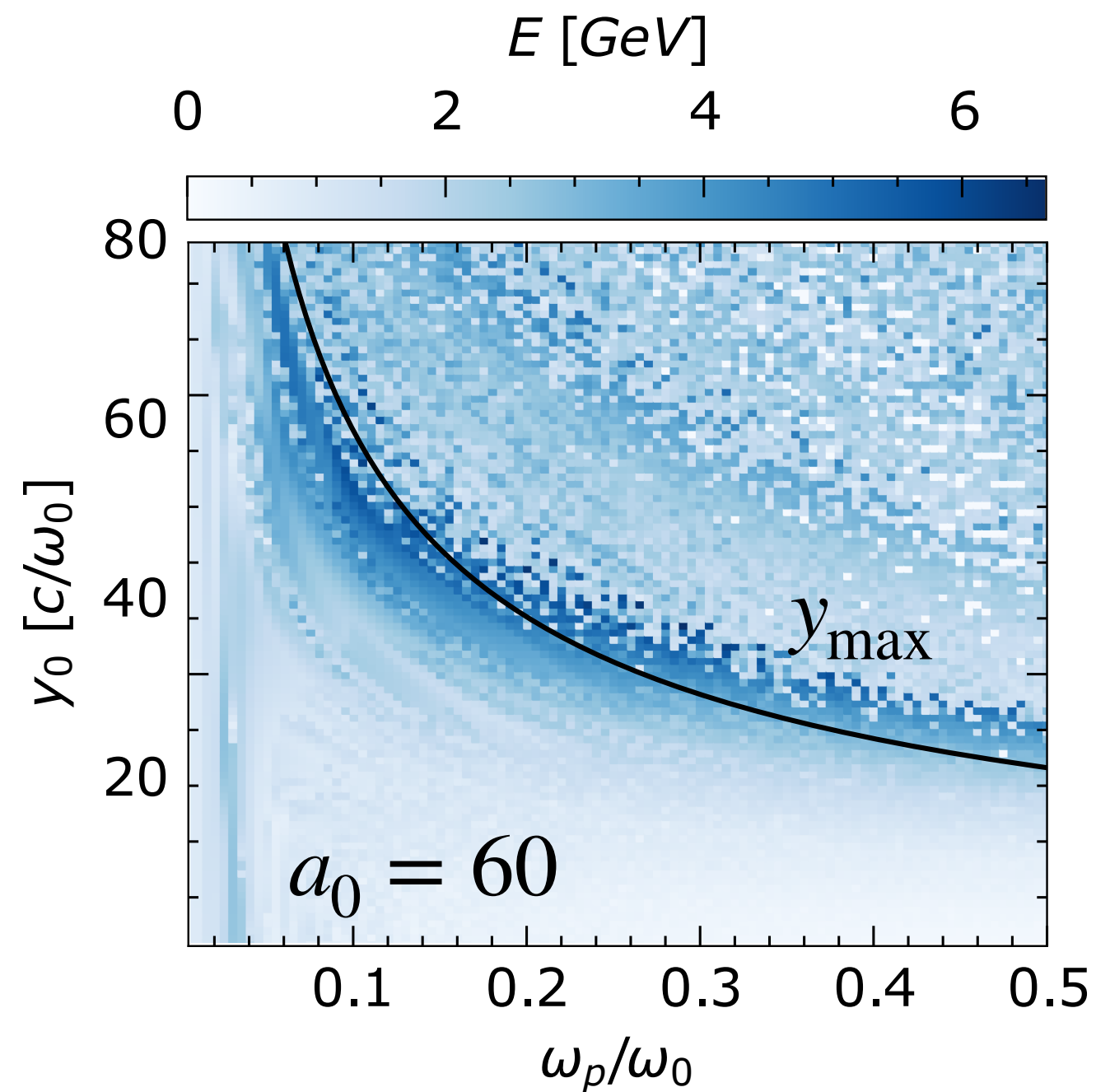
What are the optimal laser conditions for DLA?



# Maximum resonant distance gives the maximum possible energy

The resonance takes time to be established

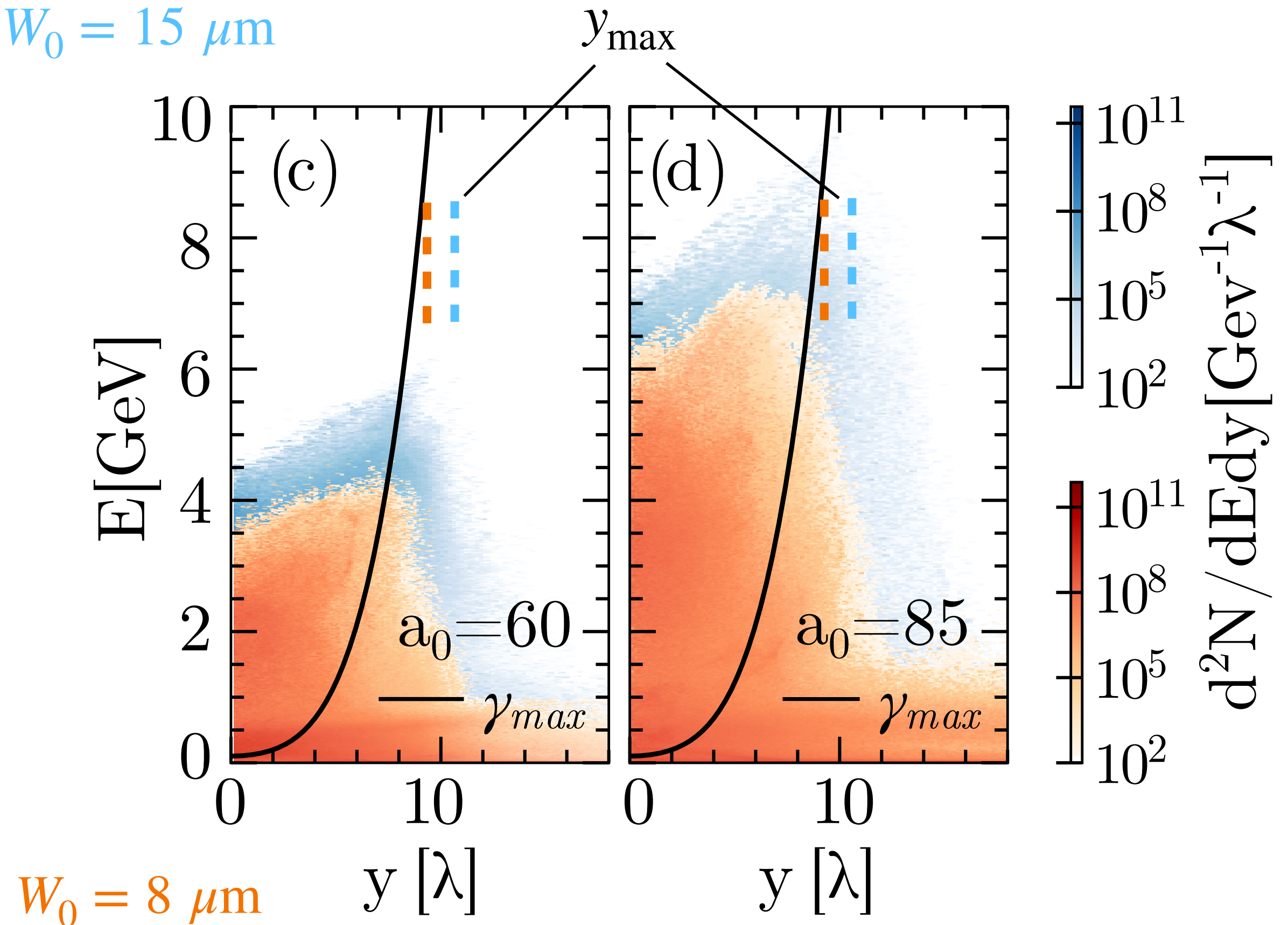
## Maximum oscillation amplitude



$$y_{\max} = \frac{2c}{\omega_p} \sqrt{\left( \frac{a_0 \omega_p}{\epsilon_{cr} \omega_0} \right)^{2/3} - 1}$$

## Optimal laser spotsize should be matched $W_0 \gtrsim y_{\max}$

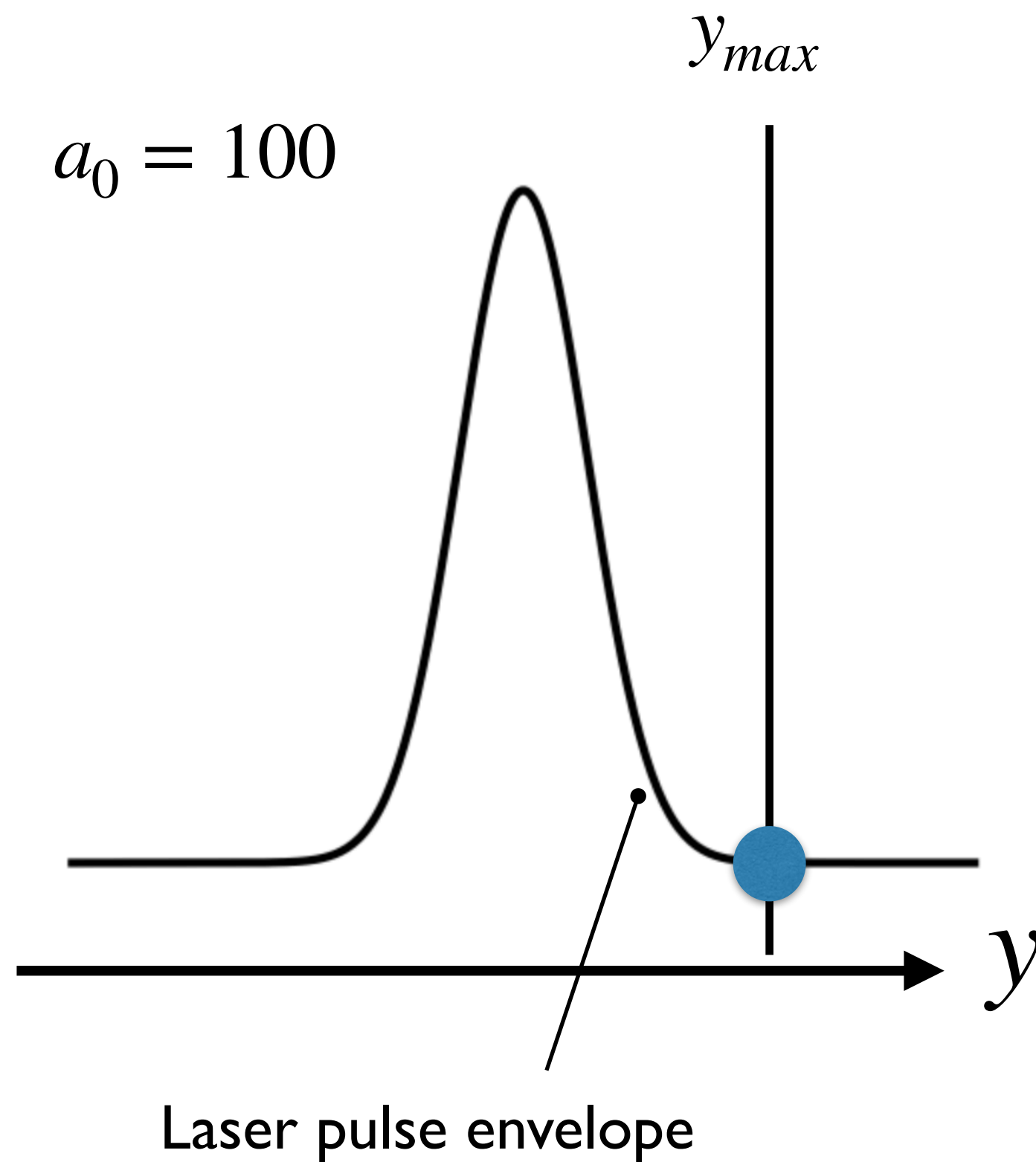
$W_0 = 15 \mu\text{m}$



$W_0 = 8 \mu\text{m}$

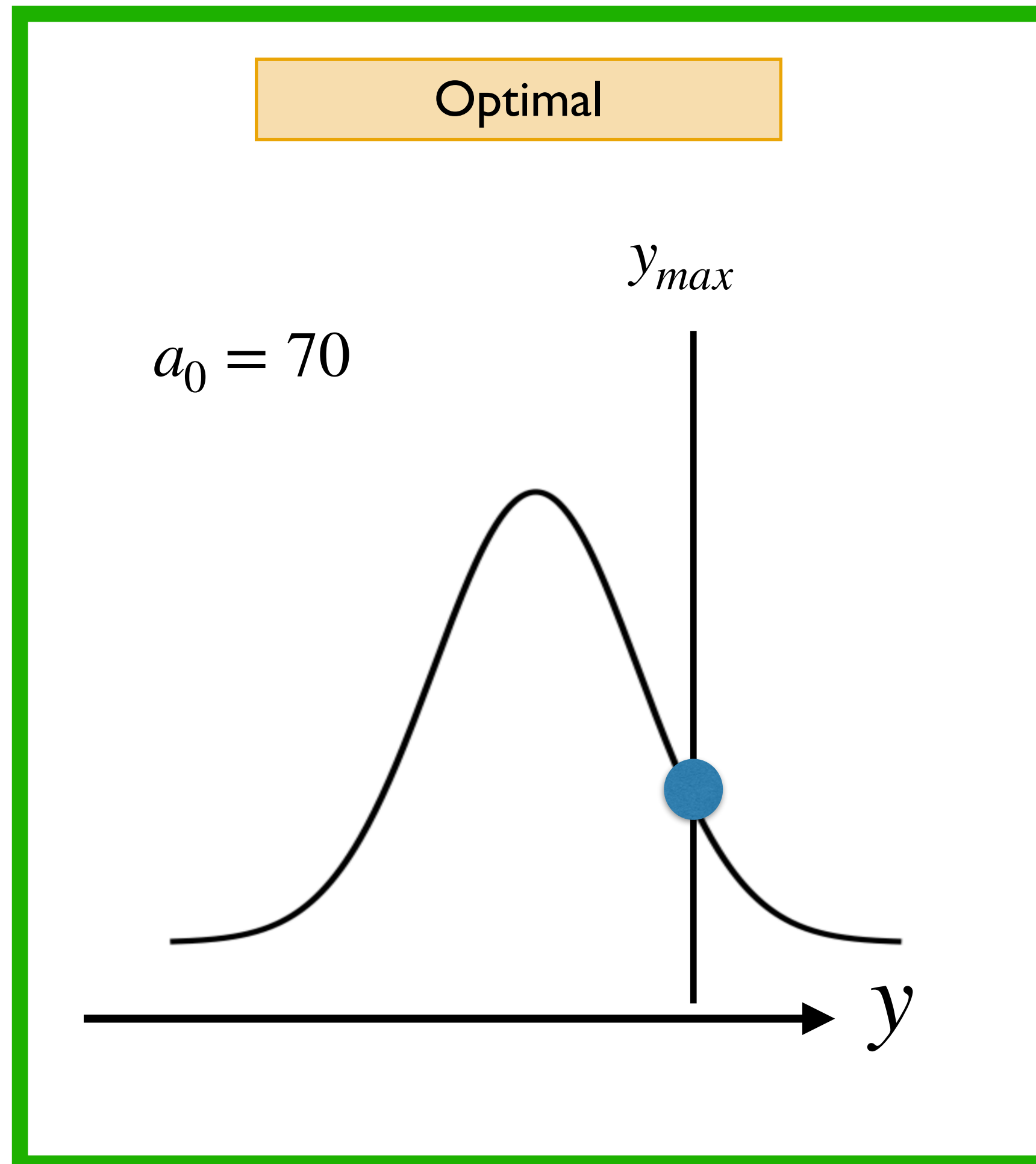
# Optimal focusing is key for successful acceleration

Too narrow



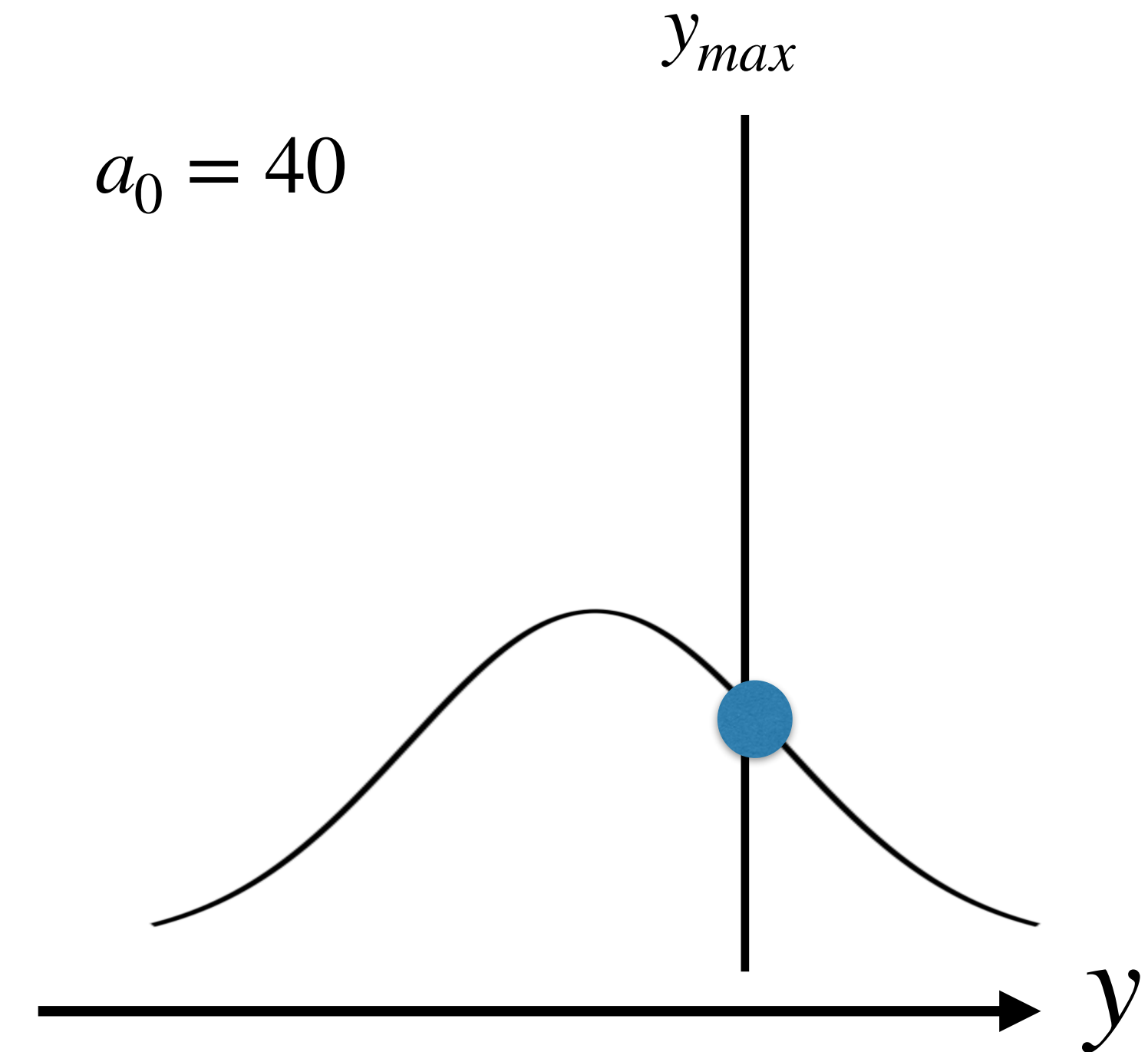
$$a_0 = 0.85 \sqrt{I [10^{18} \text{ W/cm}^2] \lambda^2 [\mu\text{m}]}$$

Optimal

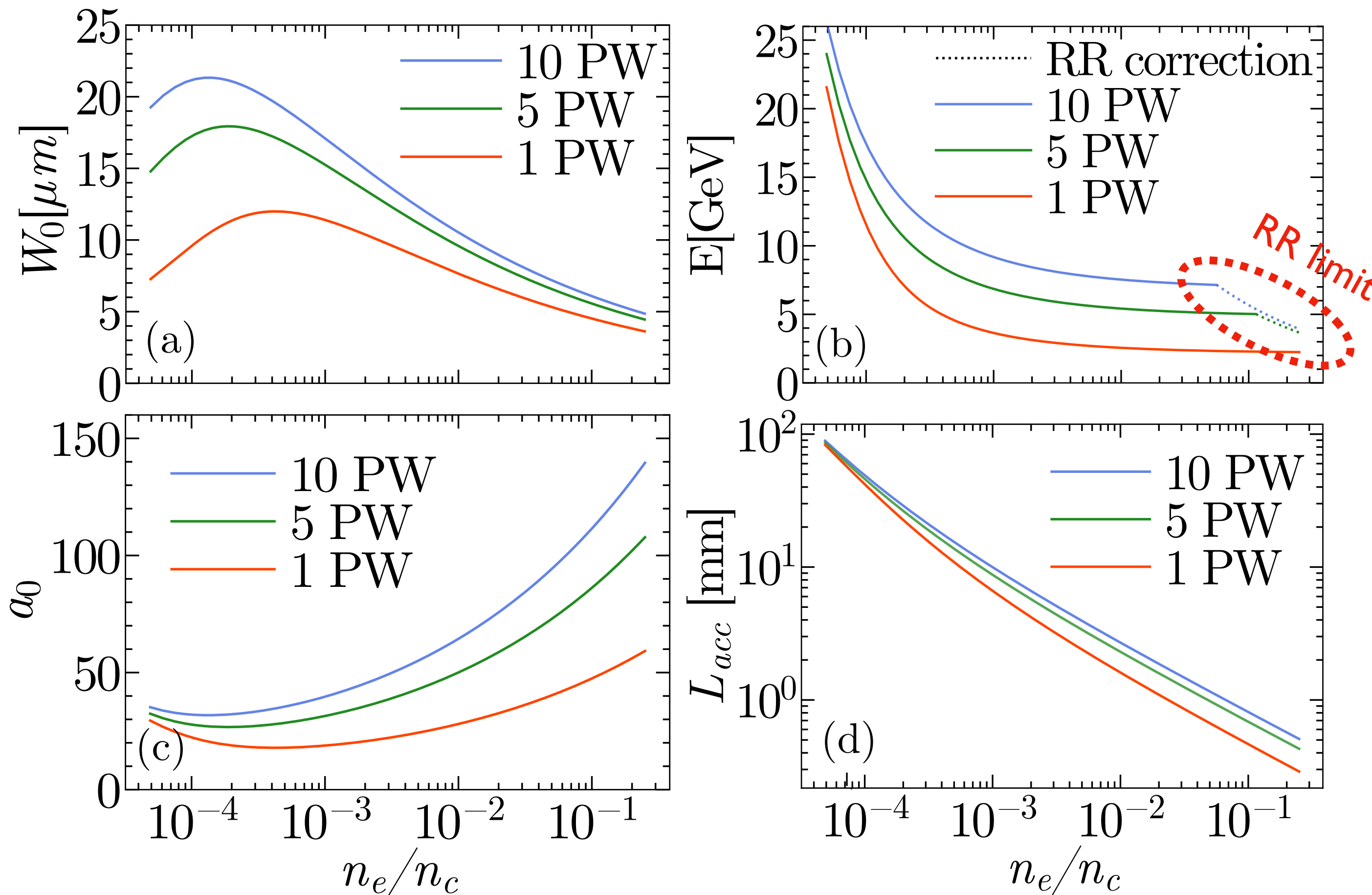


$$W_0 \approx y_{max}(a_0, \omega_p)$$

Too wide



$$W_0^2[\lambda] = \left( \frac{\omega_0}{\omega_p} \frac{1.2}{\pi} \right)^2 \left[ \left( \frac{\omega_p}{\omega_0 \epsilon_{cr}} \sqrt{\frac{P[\text{PW}]}{2.2 \times 10^{-5}}} \right)^{2/3} \frac{1}{W_0^{2/3}[\lambda]} - 1 \right]$$



## Tight focusing is not the best!

Optimal spotsizes are far from tight focusing regime.

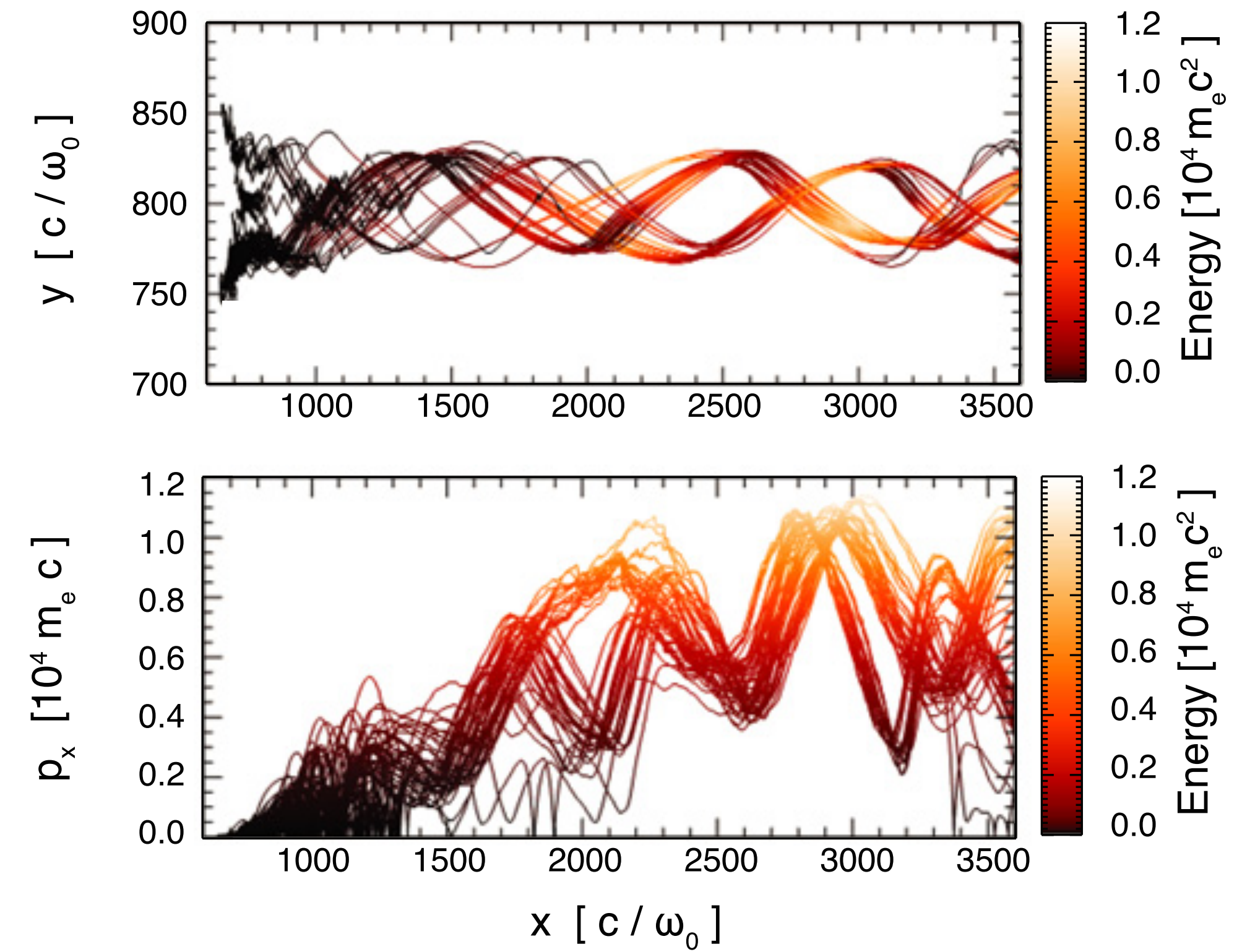
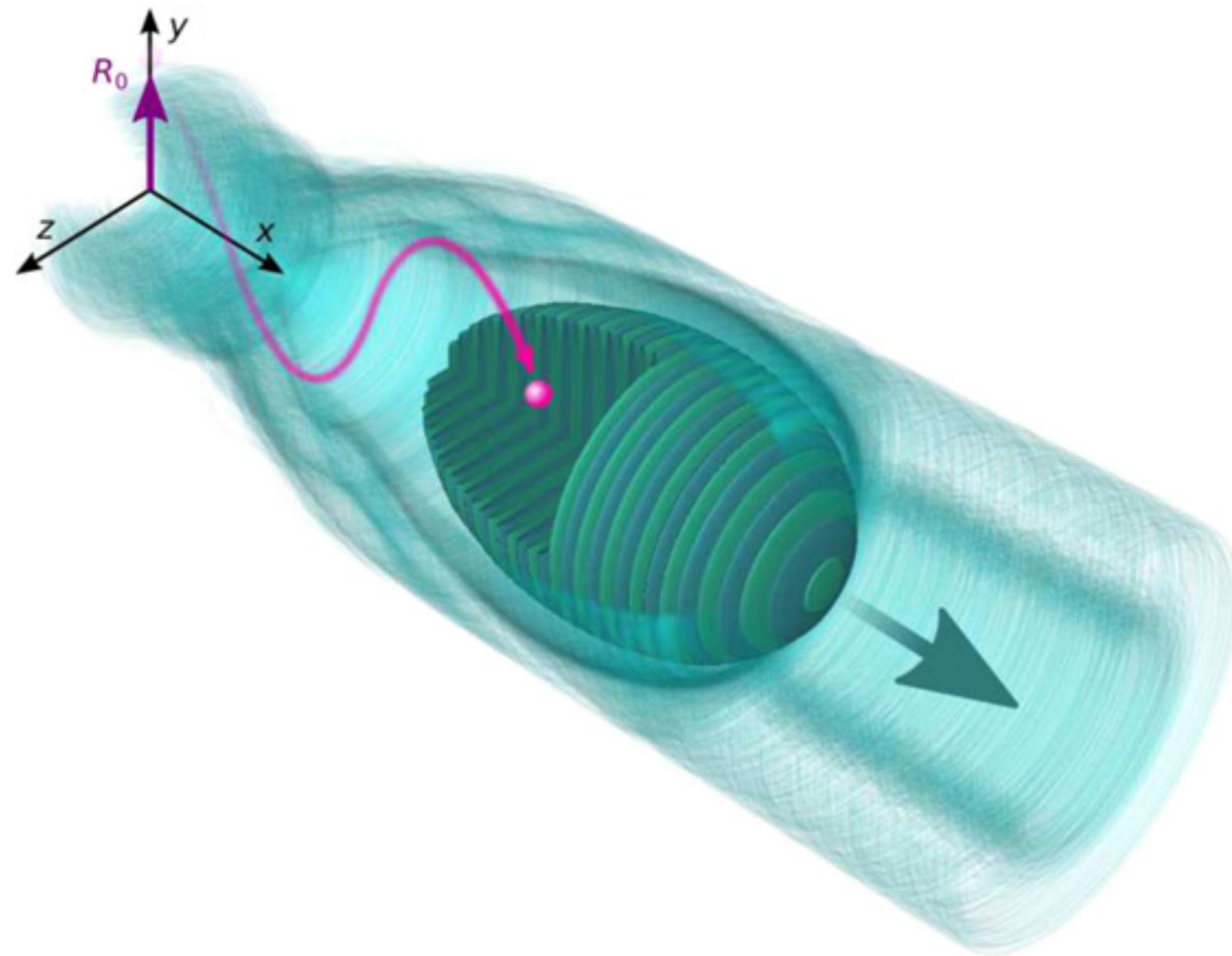
Low densities can give higher energies, but require a long acceleration distance.

Laser guiding may be easier for middle-densities  $\sim 0.01 n_c$ .



# Radiation reaction establishes the asymptotic energy limit

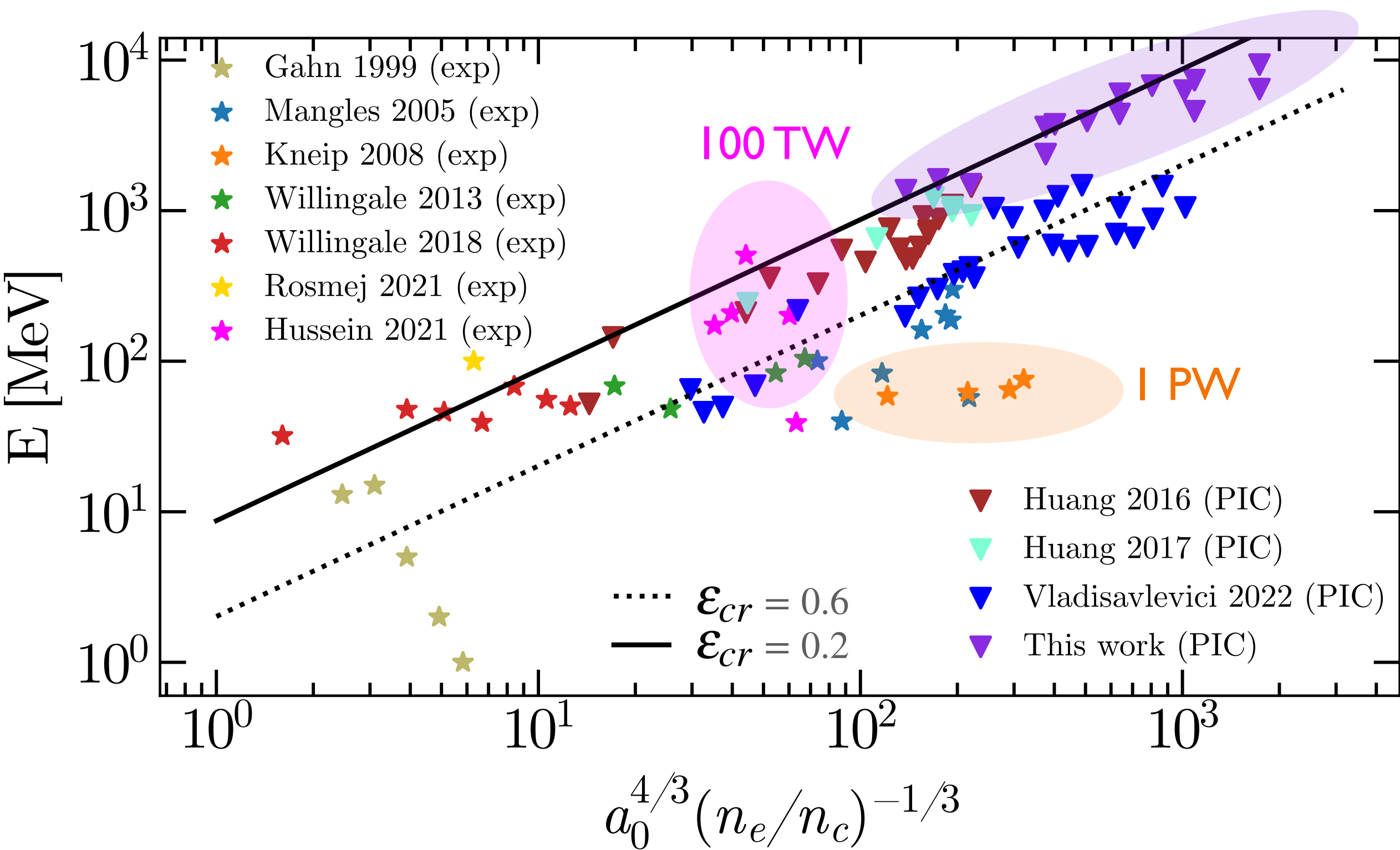
The energy is limited to the value when maximum constructive work = total loss to radiation over one resonant oscillation



**Direct laser acceleration (DLA) can accelerate electrons to ~10 GeVs. Could positrons be accelerated as well?**



$$W_0^2[\lambda] = \left( \frac{\omega_0}{\omega_p} \frac{1.2}{\pi} \right)^2 \left[ \left( \frac{\omega_p}{\omega_0 \epsilon_{cr}} \sqrt{\frac{P[\text{PW}]}{2.2 \times 10^{-5}}} \right)^{2/3} \frac{1}{W_0^{2/3}[\lambda]} - 1 \right]$$



## Multi-factor optimisation is required

It is not easy to obtain maximum allowed energy even in simulations!

Understanding all the important factors (and having the optimisation strategy), it will get easier to plan the experiments.

# What happens when we have a varying density profile?

## Different conserved quantity

Constant  
density

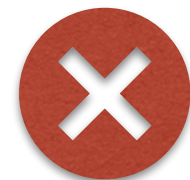


$$I = \gamma - \frac{p_x}{m_e c} + \frac{y^2 \omega_p^2}{4c^2}$$



$$\gamma_{max} = 2I^2 \left( \frac{\omega_0}{\omega_p} \right)^2$$

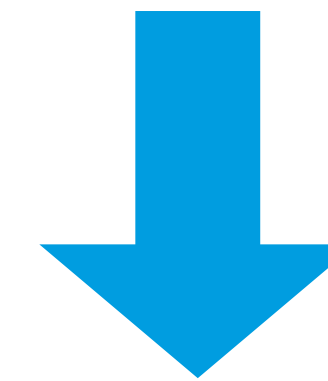
Varying  
density



This change affects the maximum  
allowed energy!

## What is different in terms of maximum energy?

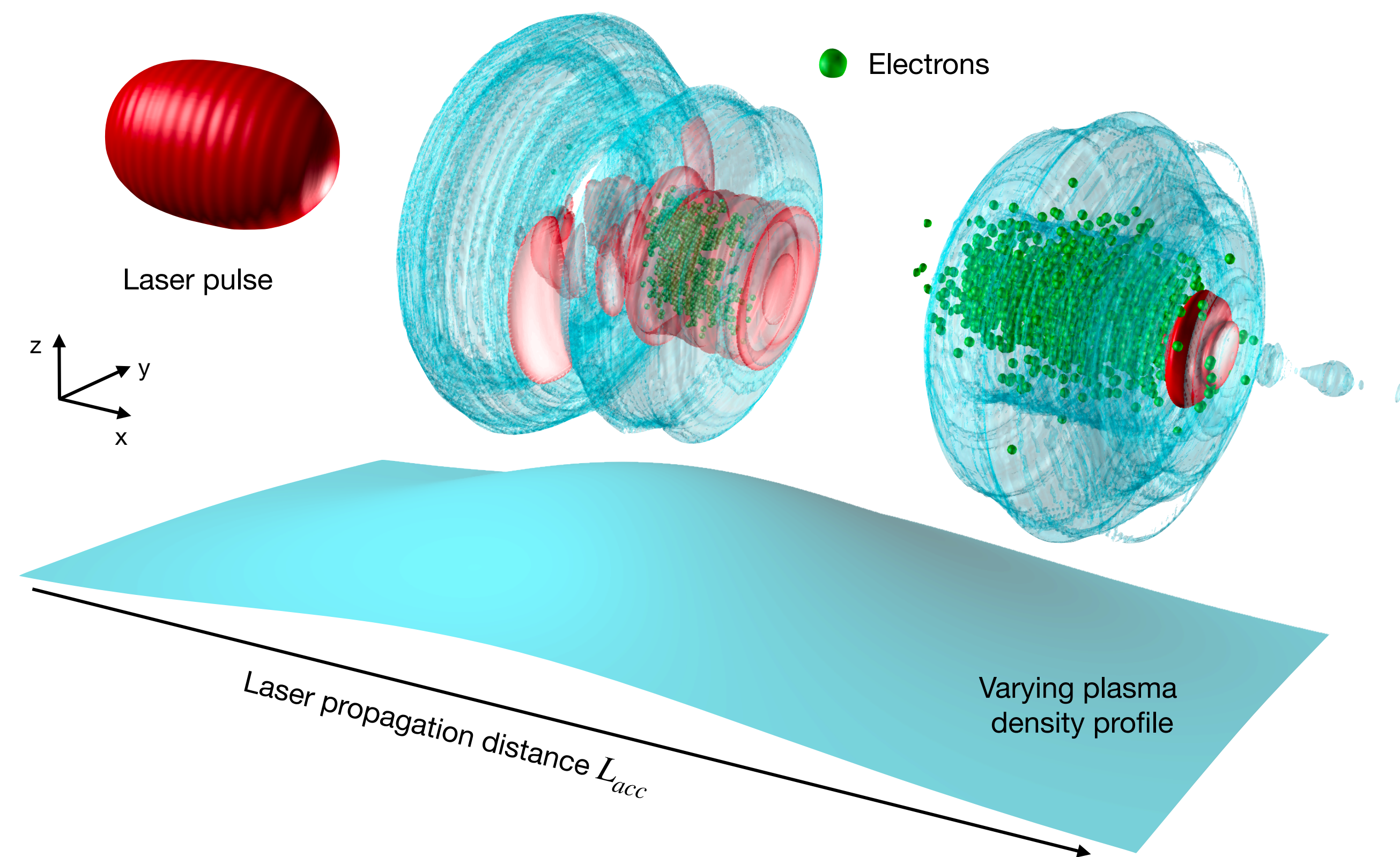
Both  $I$  and  $\omega_p$  are changing as electron  
propagates



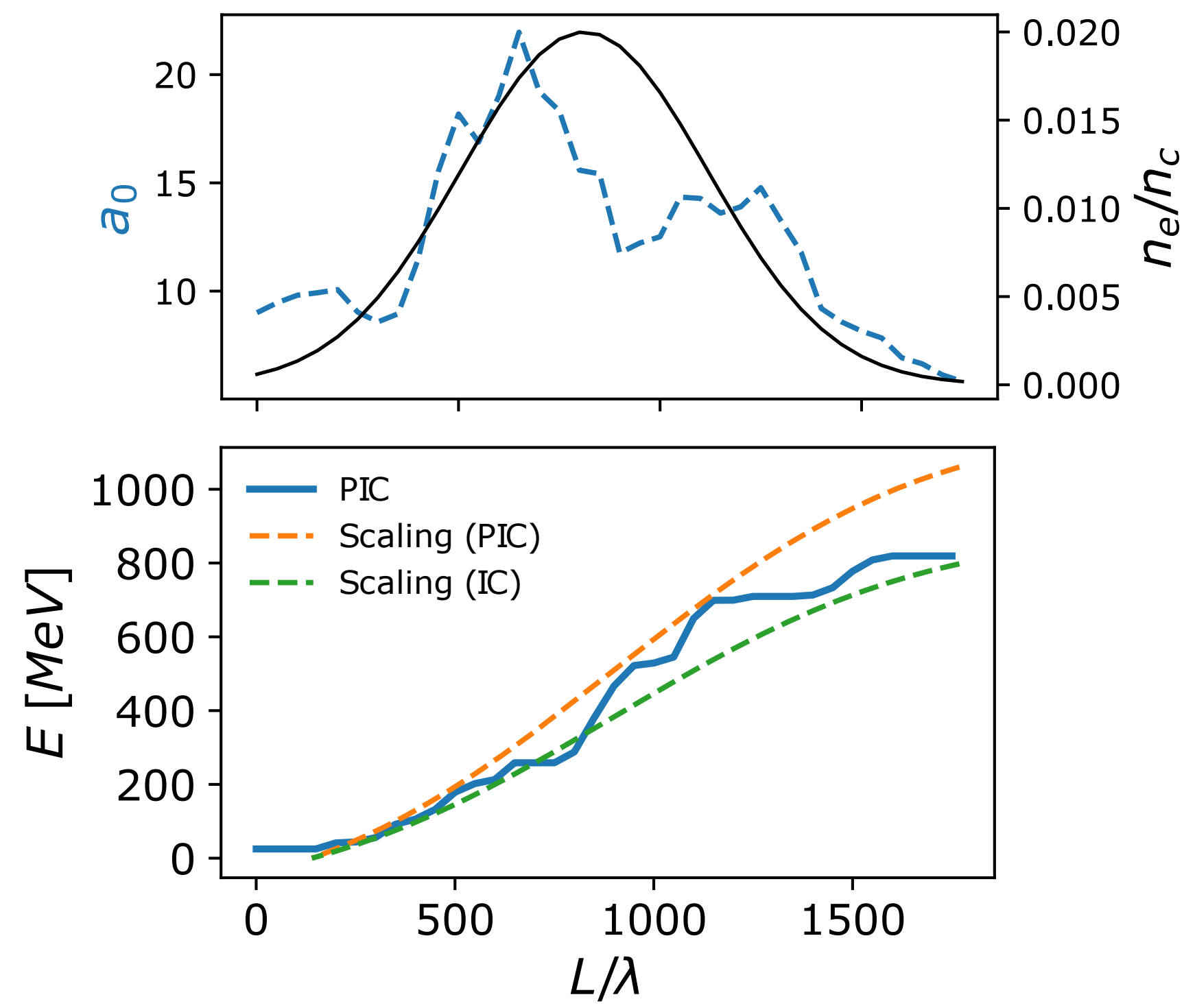
To extend the energy scaling law we need to know  
the evolution of  $I$

$$\frac{d\gamma}{dt} \sim \frac{a_0}{\sqrt{I}} \frac{\omega_p}{\omega_0}$$

# The theory can be extended to varying density plasma profiles



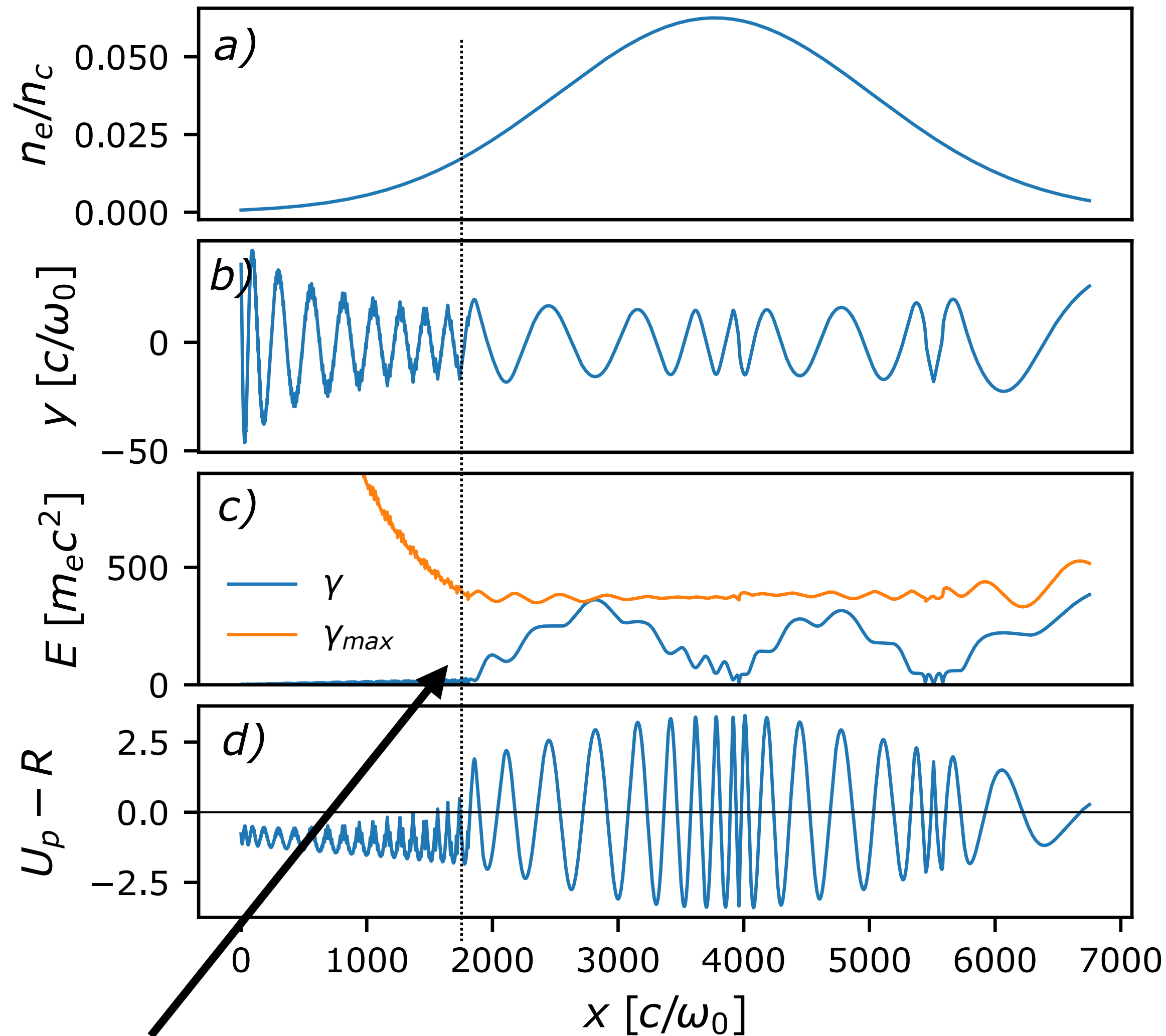
## Analytical energy estimate vs. PIC



$$\frac{d\gamma}{dx} \sim a_0 \left( \frac{2}{\gamma_{max}} \right)^{1/4} \sqrt{\frac{\omega_p(x)}{\omega_0}}$$

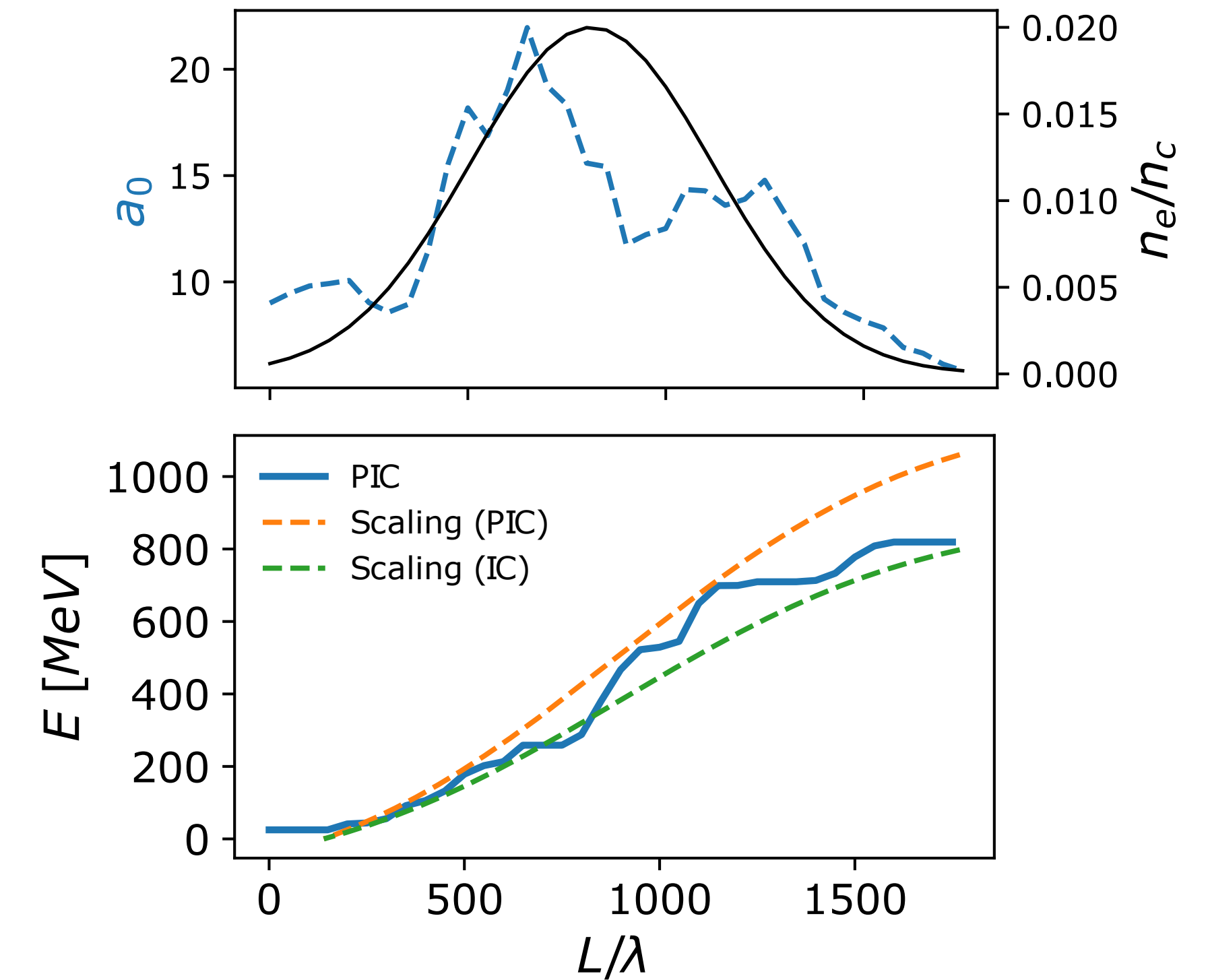


# The density where the resonance is achieved defines max. energy



The moment of resonance controls the maximum energy

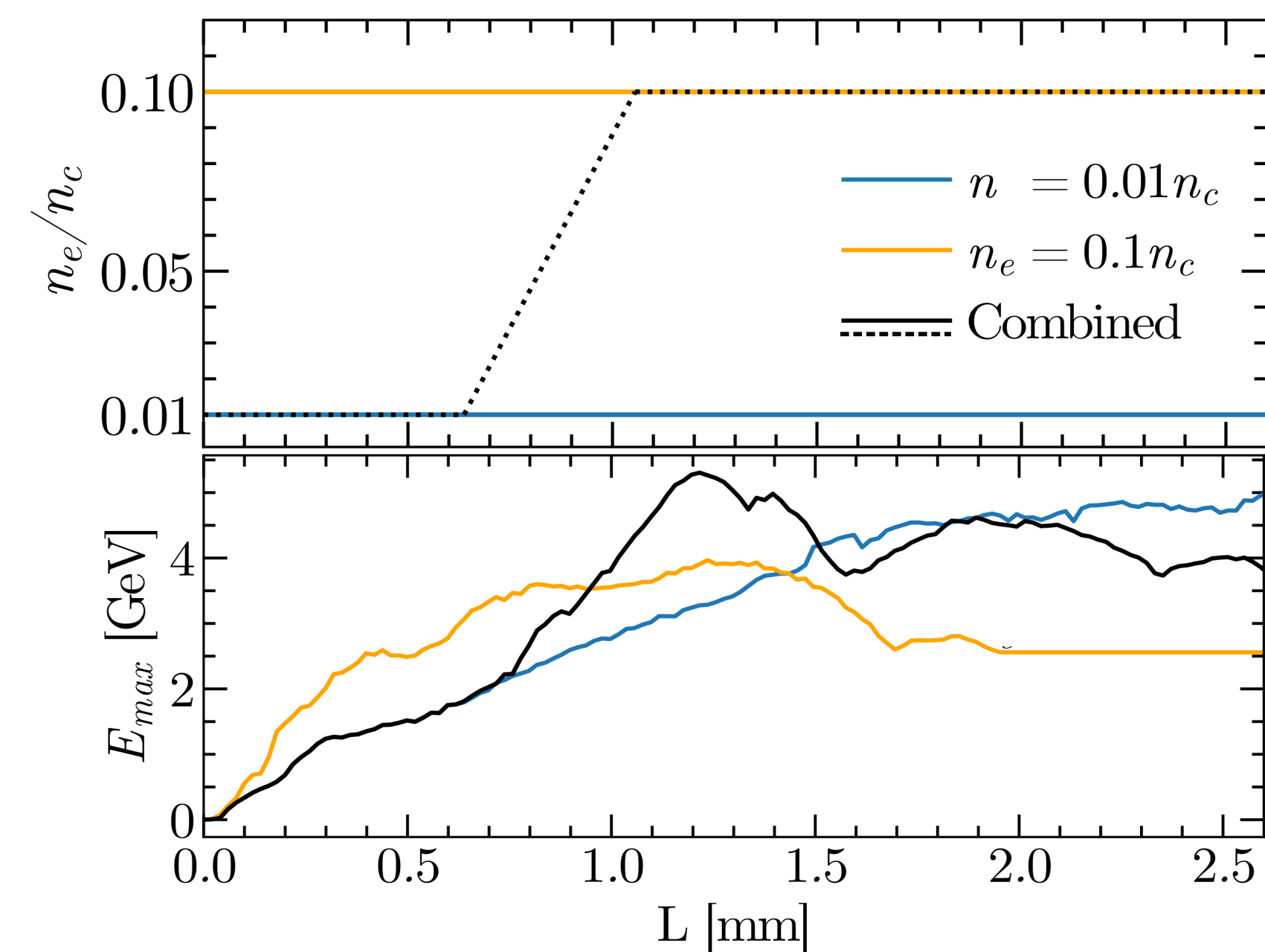
## Analytical energy estimate vs. PIC



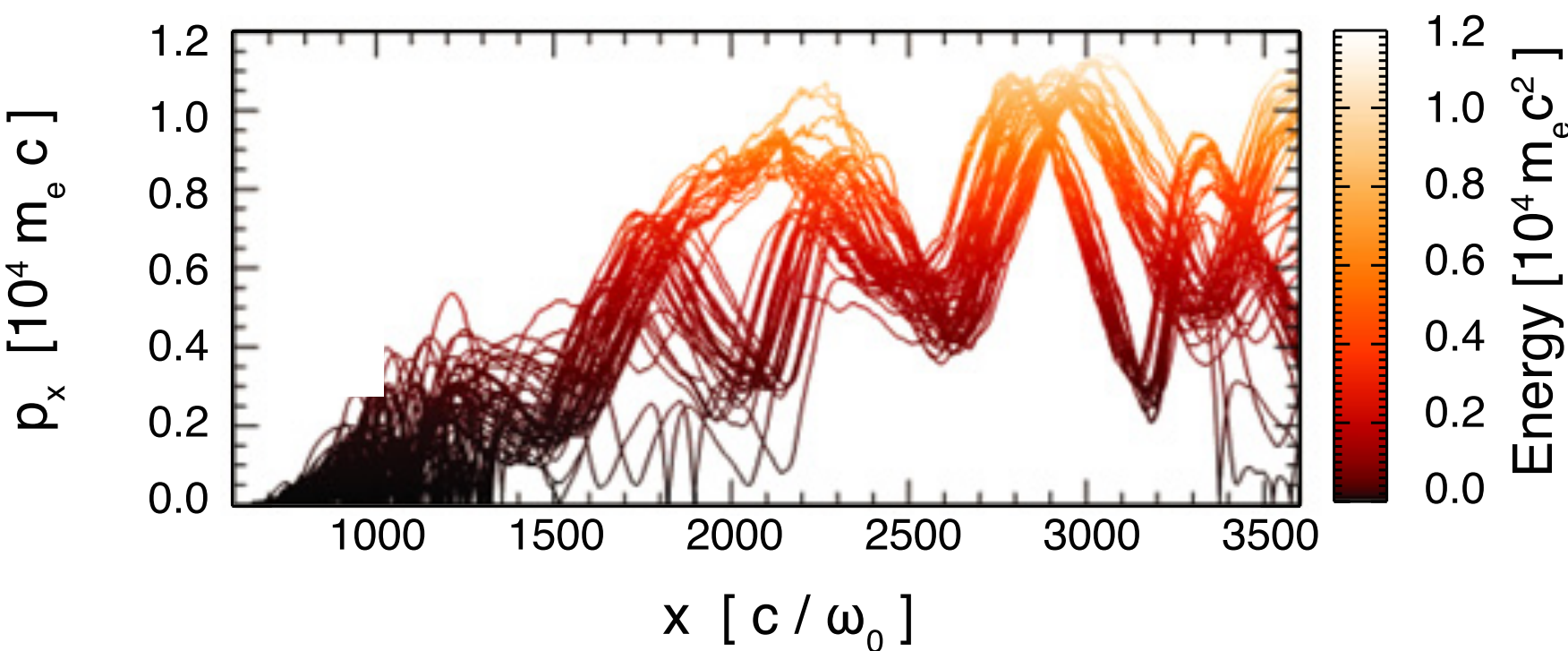
$$\frac{d\gamma}{dx} \sim a_0 \left( \frac{2}{\gamma_{max}} \right)^{1/4} \sqrt{\frac{\omega_p(x)}{\omega_0}}$$

# Tailoring the plasma profile can shorten the acceleration distance

Or allow acceleration beyond the radiation reaction limit



5 GeV in 1 mm instead of 2!



M. Jirka et al, New J. Phys. (2020)

Limited by work of  $E$  = radiation losses

**Electron acceleration**

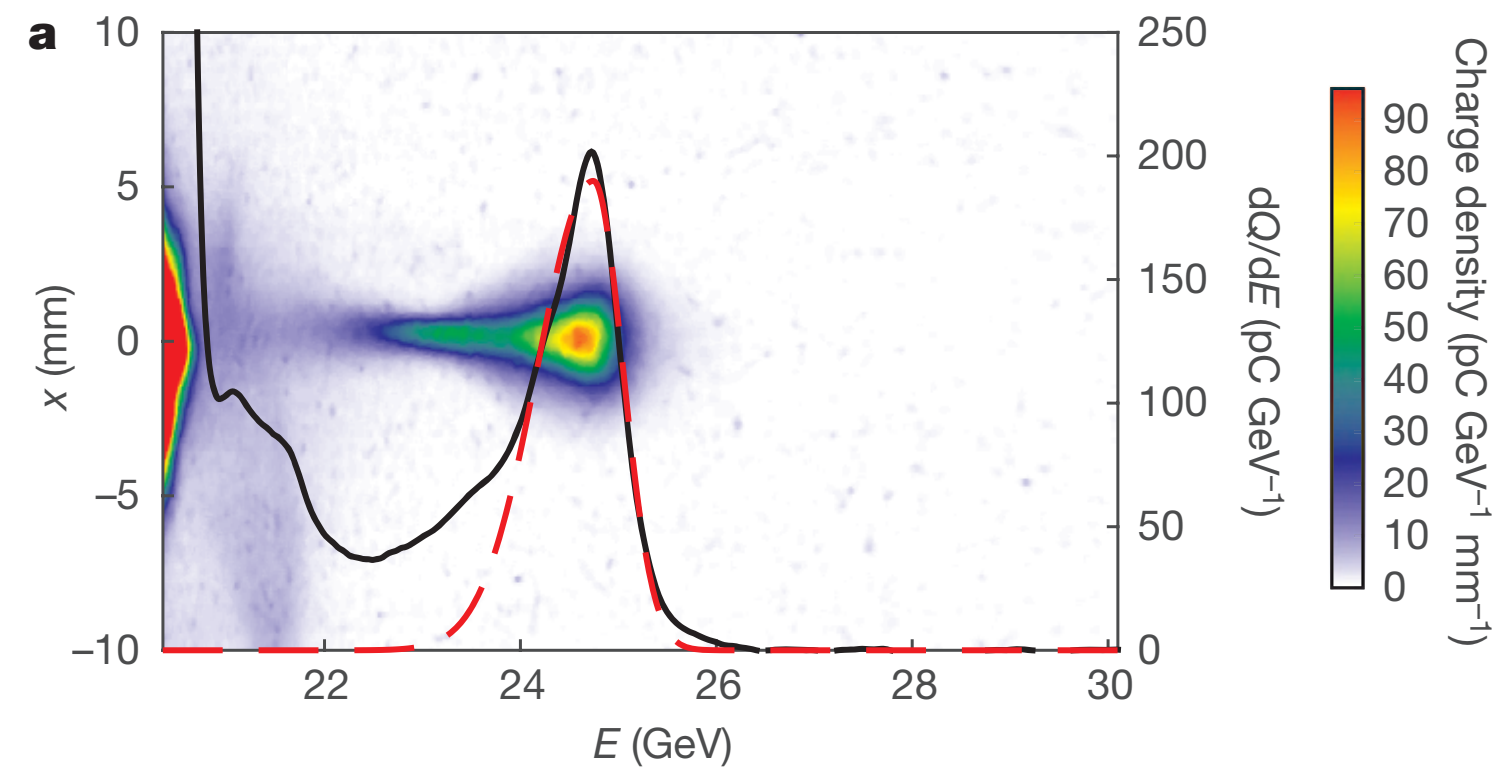
**Positron creation and acceleration**

**Radiation generation**

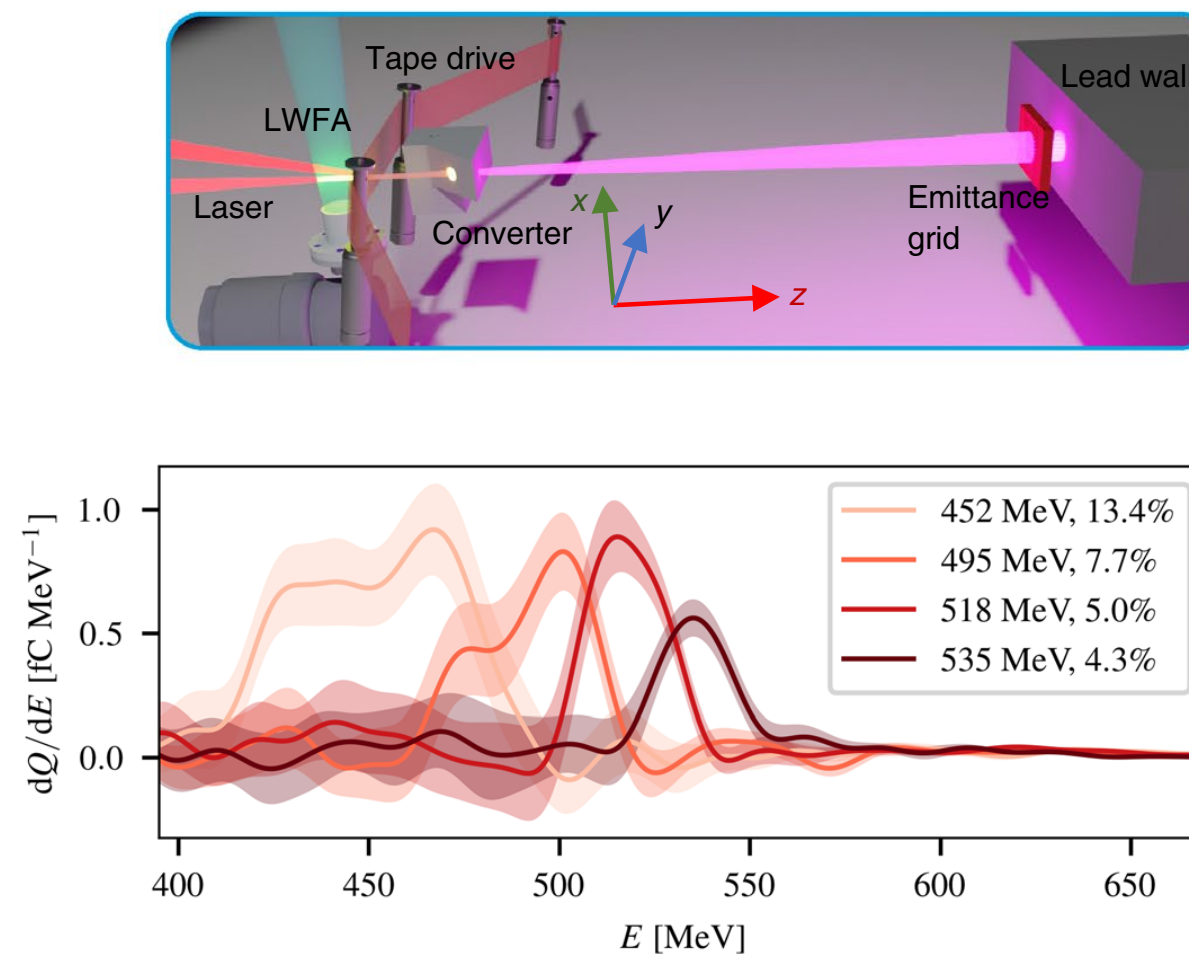


# Why positrons? And why with DLA?

## Positron creation and acceleration



S. Corde et al, Nature 524, 442 (2015)



A. Doche et al, Sci. Rep. 7 14180 (2017)

We can accelerate them in plasma

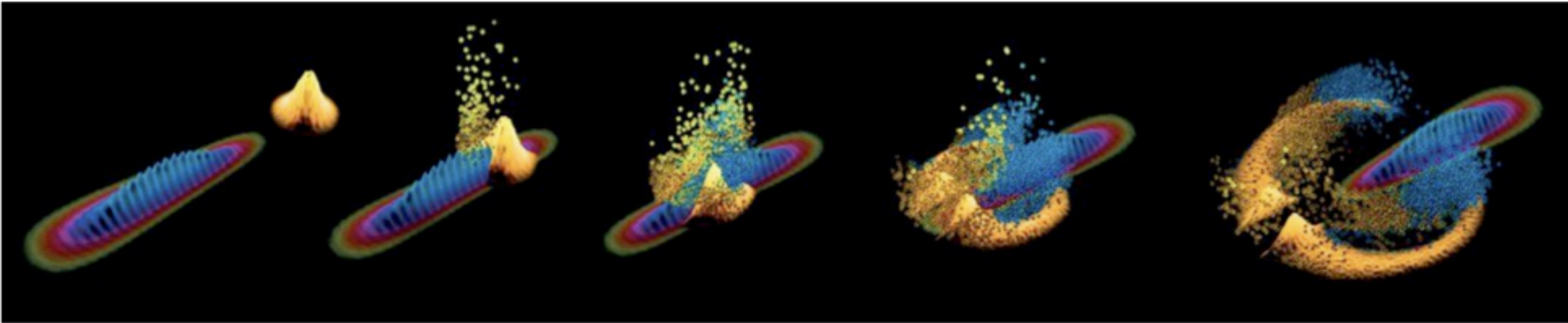
We can post-select the desired energy range

## Challenges

- Generate enough  $e^+$
- Injection & synchronization
- Acceleration & guiding

How do we create positrons, inject and guide them?  
Can we control where they go?

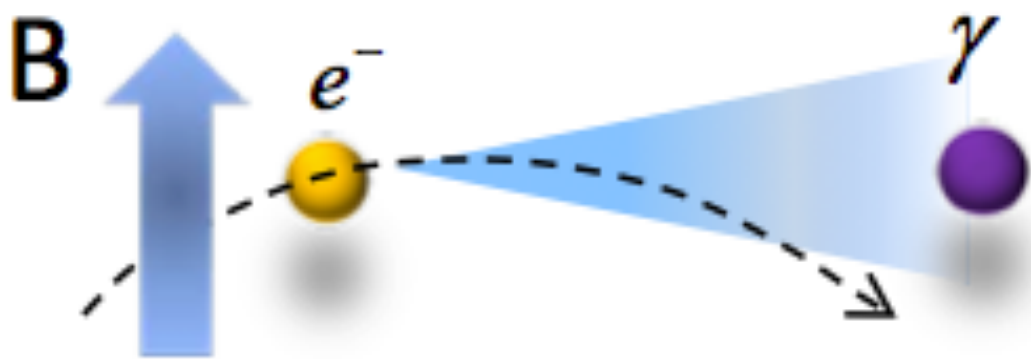
# Scattering an intense laser with an electron beam - Schwinger field can be attained in the electron rest frame



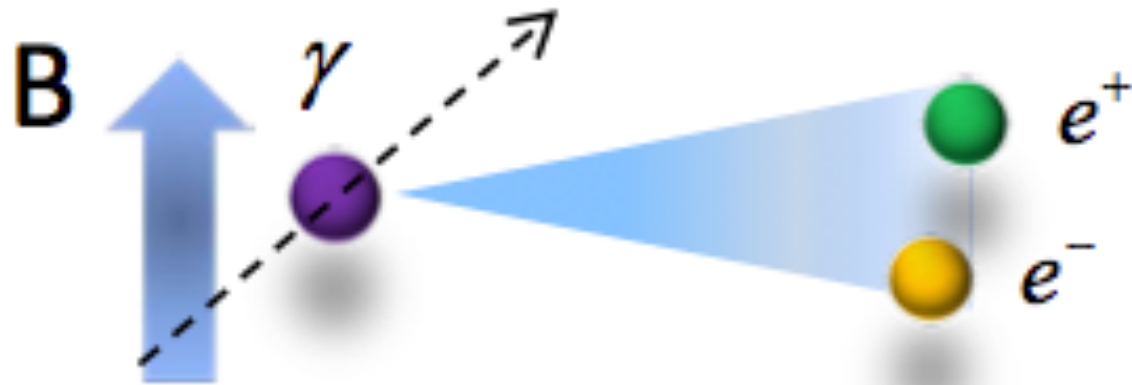
$$E_S = \frac{m^2 c^3}{e \hbar}$$

## First QED processes

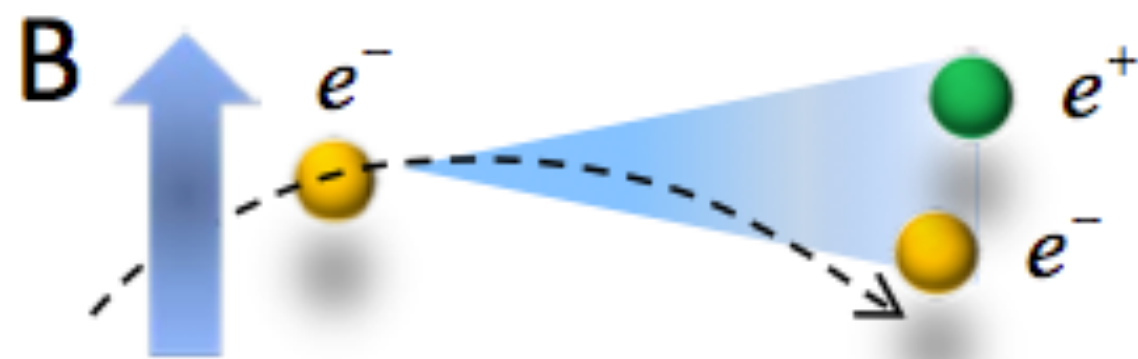
Non-linear Compton emission



Non-linear Breit-Wheeler pair creation



EM trident pair creation



Credit: M. Lobet, B. Martinez



## Numerical Framework for Fast Prediction of Particle Distributions in Electron-Laser Scattering

### Features

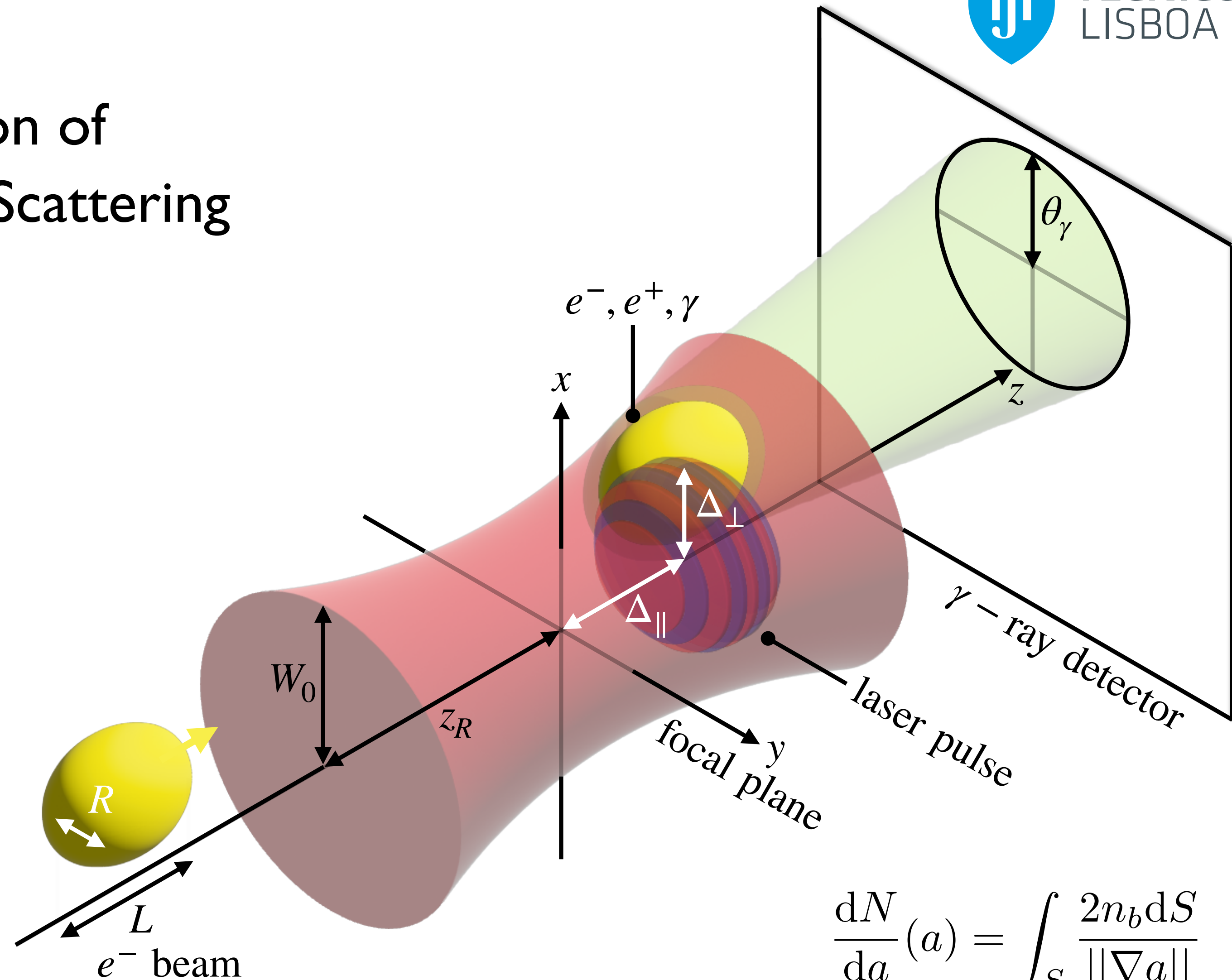
- Takes into account non-ideal spatio-temporal synchronization of the collision
- Option to map 1D Wavepacket results to 3D-geometry
- Calculates observables after the collision (e.g. particle and photon distributions)

### Example applications

- Obtaining optimal laser spotsize for positron production with a fixed pulse energy
- Extensive parameter scans for final  $e^\pm, \gamma$  spectra, running on a laptop; multiple-variable optimization
- Simultaneous multiple variable optimization

### Papers and open-source code

- O. Amaro, M. Vranic, New J. Phys. 23, 115001 (2021)
- O. Amaro, M. Vranic, Plasma Phys. Control. F. 66, 045006 (2024)
- <https://github.com/OsAmaro/QScatter>

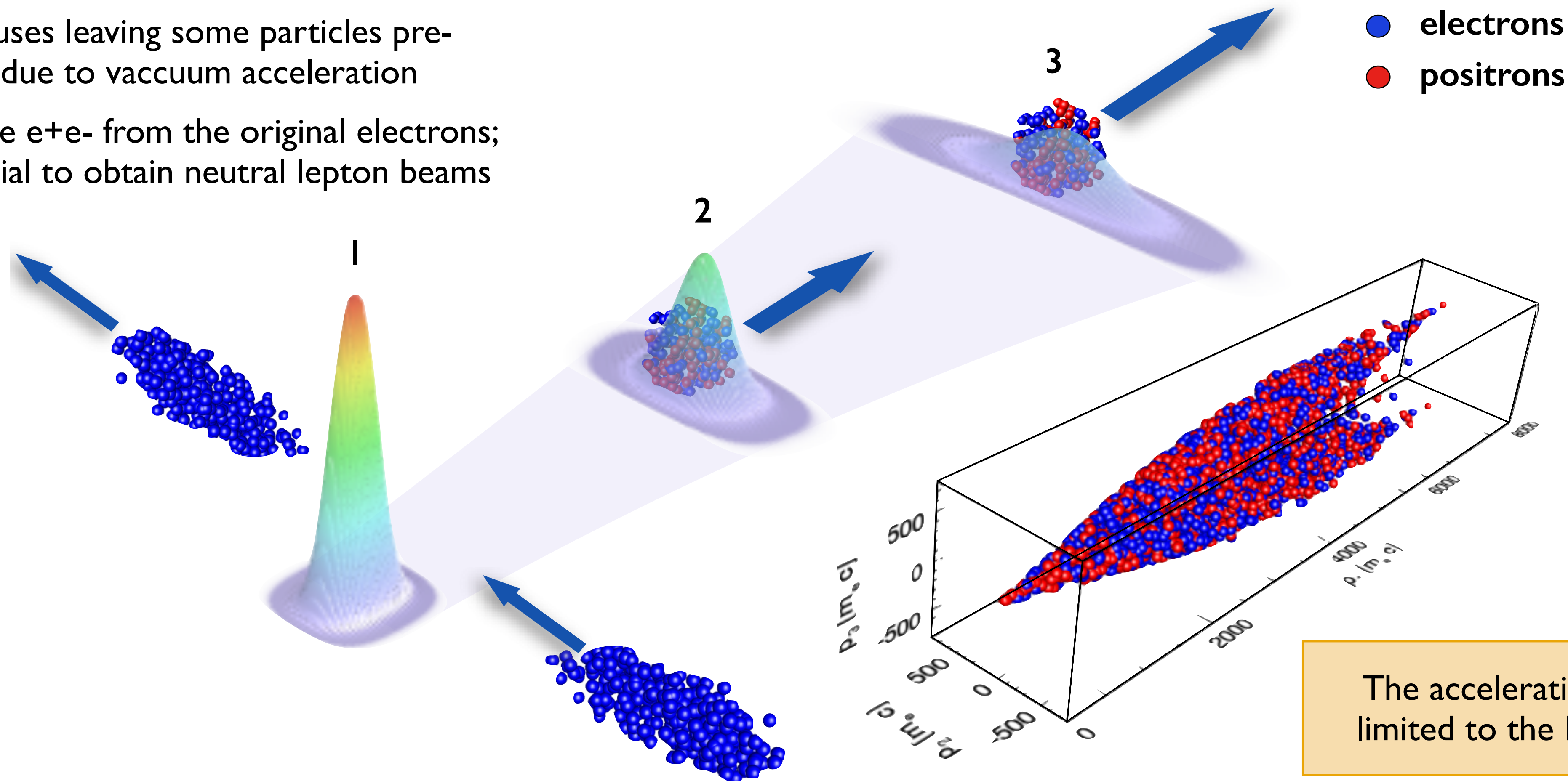


$$\frac{dN}{da}(a) = \int_S \frac{2n_b dS}{||\nabla a||}$$

$$\frac{dN^{3D}}{d\gamma}(\gamma; a_0) = \sum_{PW \text{ data}} \frac{dN^{PW}}{d\gamma}(\gamma; a_i) \frac{dN}{da}(a_i)$$

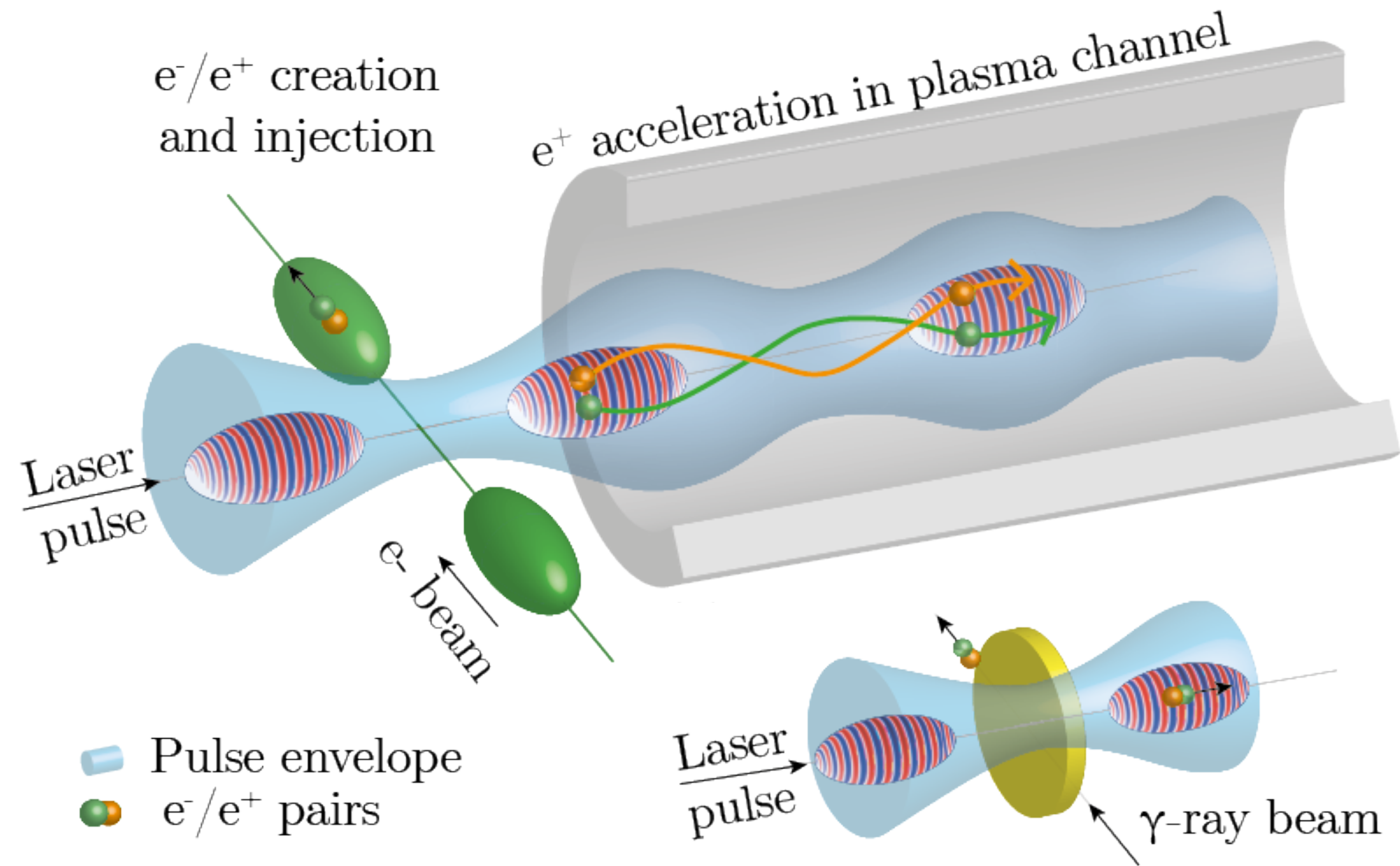
# Scattering at 90 degrees - $e^+e^-$ can be accelerated in vacuum

- Electrons collide with the laser; pairs are produced in the highest field region
- $e^+e^-$  beam is accelerated by the laser in vacuum
- Laser defocuses leaving some particles pre-accelerated due to vacuum acceleration
- Can separate  $e^+e^-$  from the original electrons; gives potential to obtain neutral lepton beams





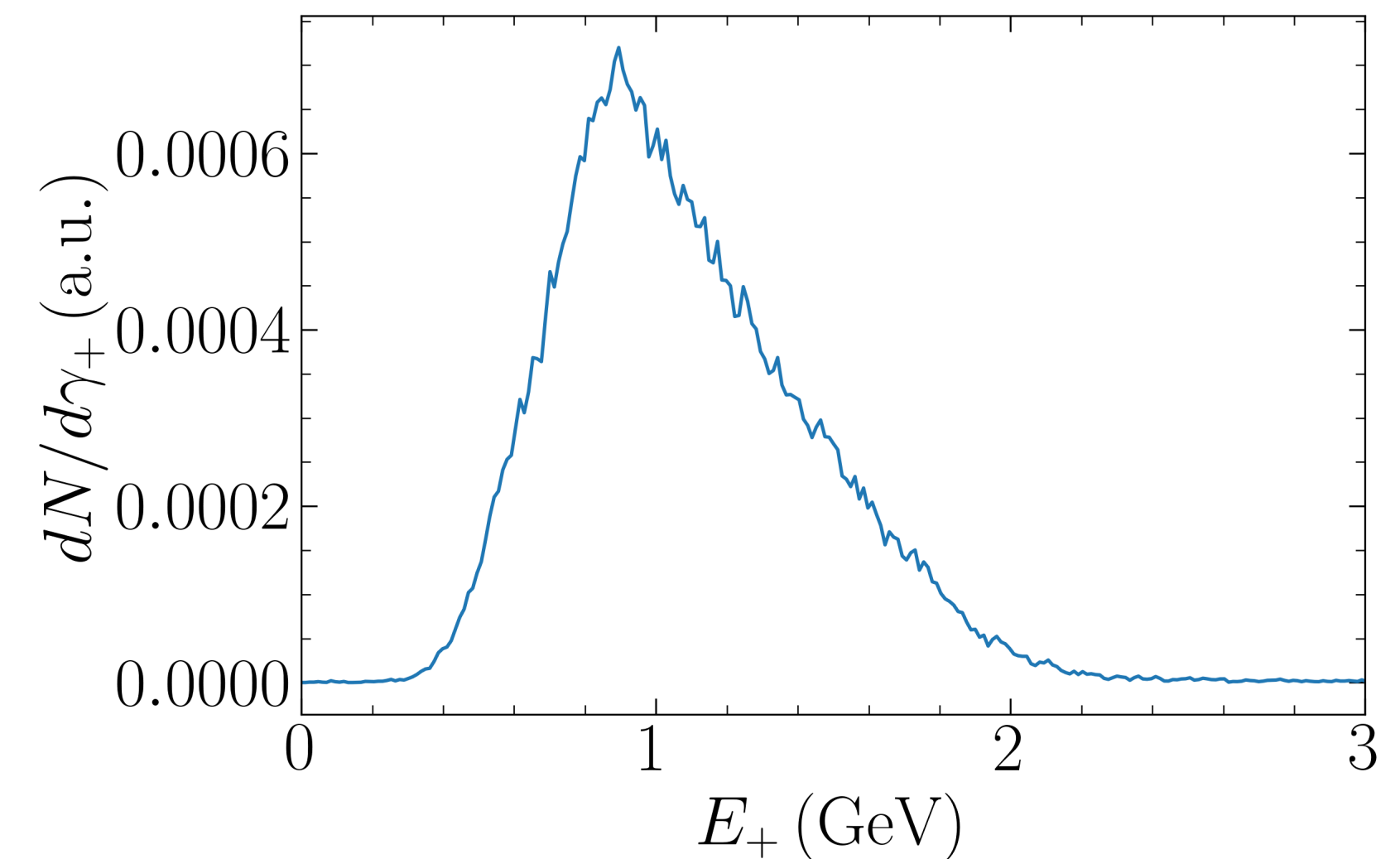
# Pairs can also be accelerated within a plasma channel



2 GeV  $e^-$ , charge  $\sim 10$  pC

This can be modelled in  
Quasi-3D geometry\*\*

## Positron spectra



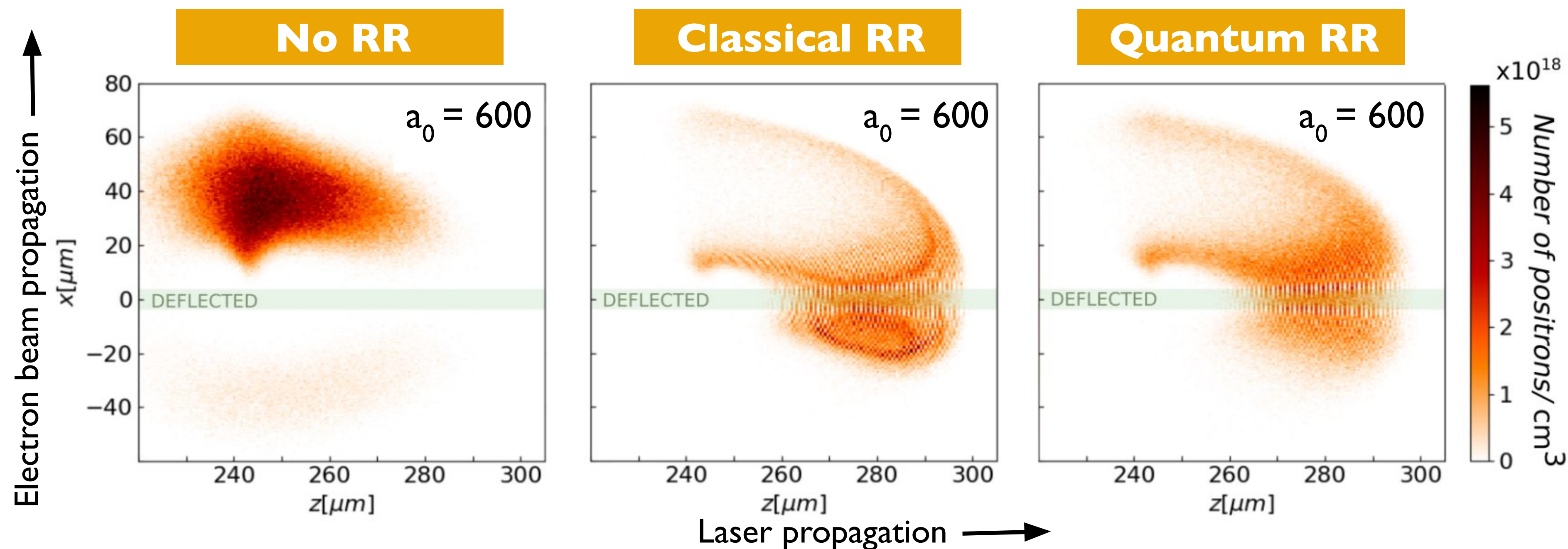
Energy peak around 1 GeV

Charge of  $\sim 0.1$  pC



# Radiation reaction is vital for injection of positrons

Without RR, there is no deflection after 200 fs, and no injection in the plasma channel



Large initial transverse momenta lead to escape: No injection!

RR reduces transverse momentum and makes injection possible.

$$\chi \sim 0.1 - 5$$

$$W_0 \sim 3.2 \mu\text{m}$$



## How are positrons guided?

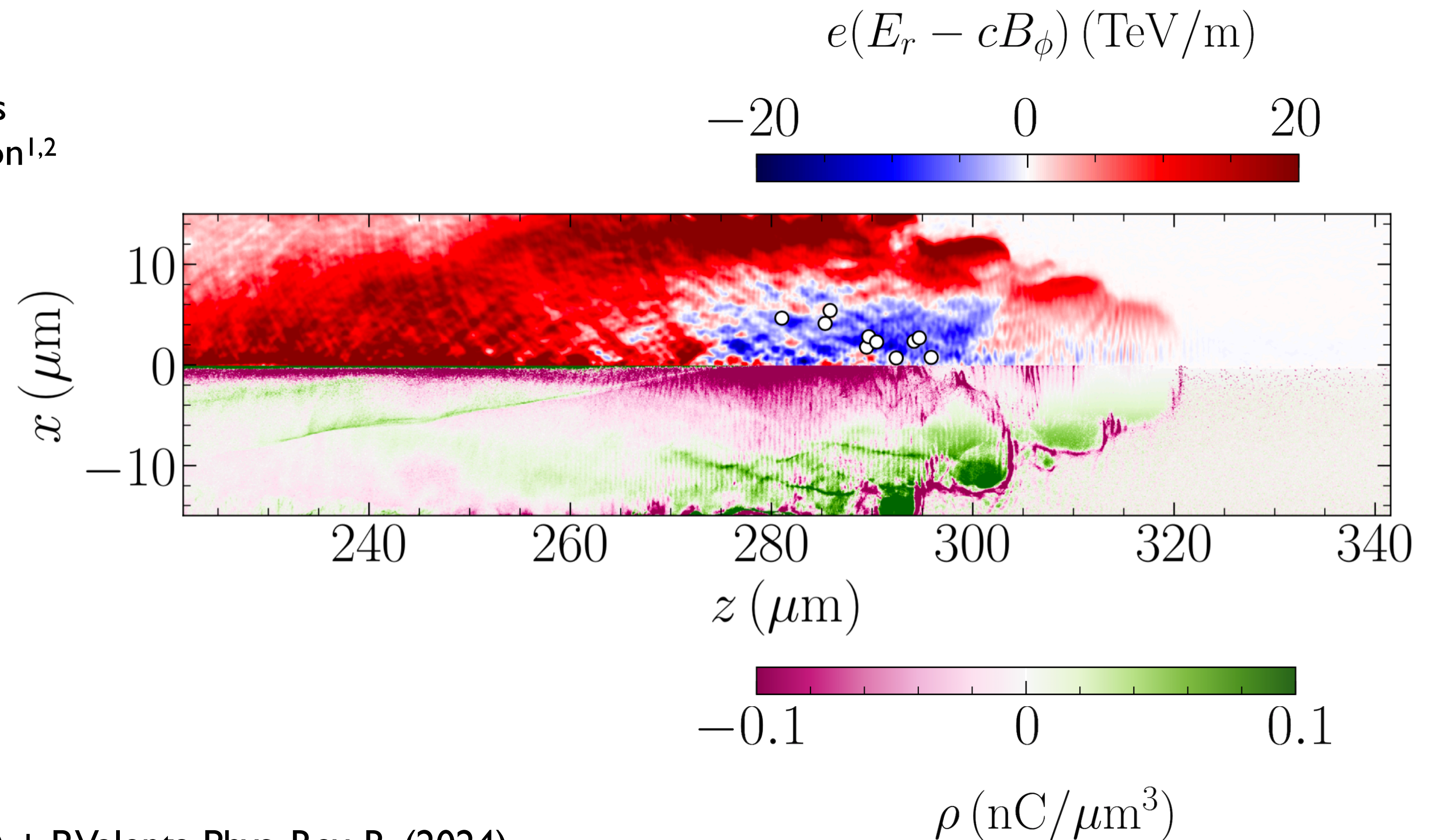
Large  $e^-$  density in channel walls  
+ ion motion<sup>1,3,4</sup> + radiation reaction<sup>1,2</sup>



Large central  $e^-$  beam loading  
(800 nC)



Positron  
focusing fields



B. Martinez et al, Phys. Rev. AB (2023) + P.Valenta Phys. Rev. R. (2024)

Positron creation



Positron deflection



Positron acceleration

## Consistent simulation of positron creation and acceleration

### Laser pulse (red/blue)

150 fs duration

Peak amplitude  $5 \times 10^{23} \text{ W/cm}^2$

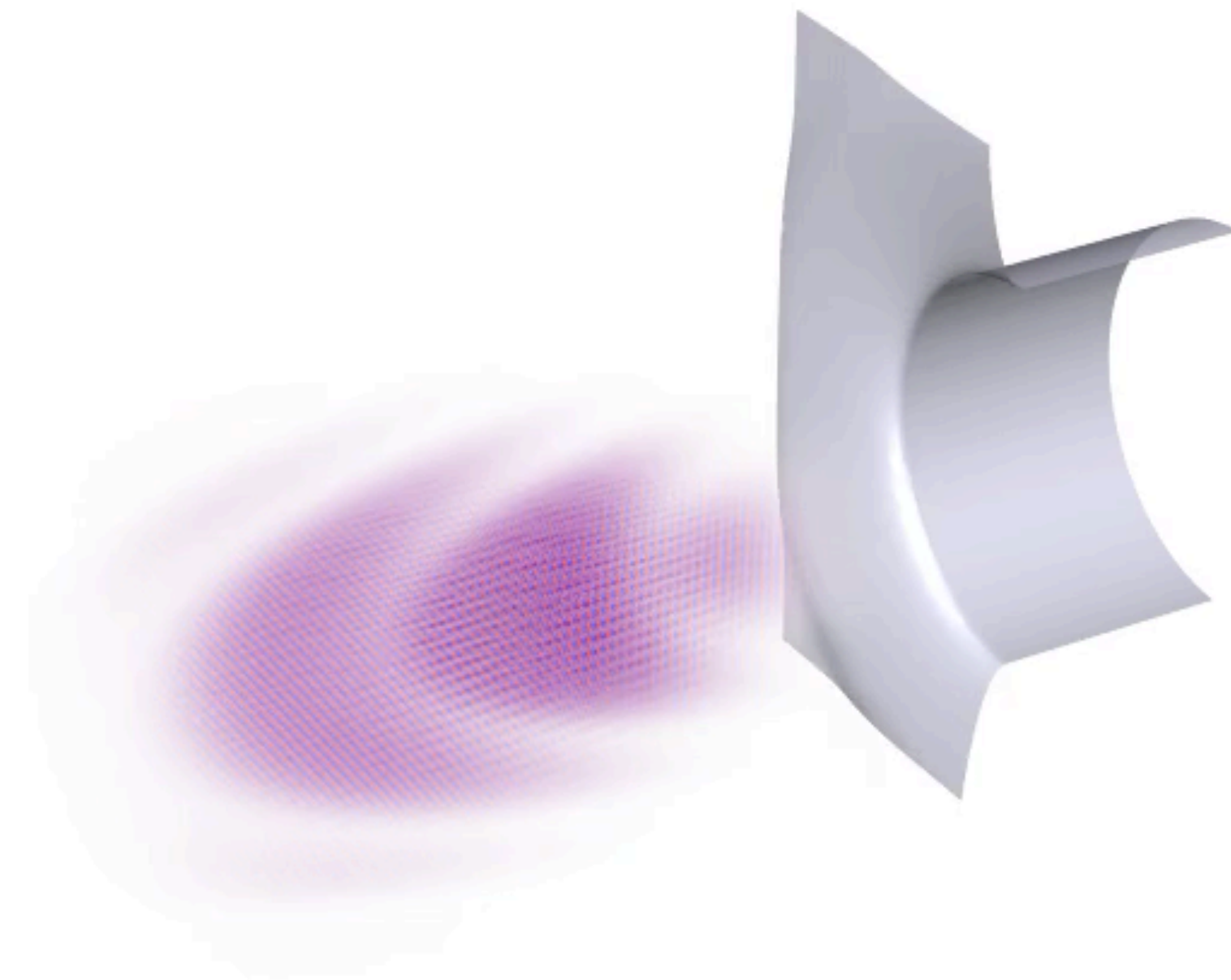
### Photon beam

Synchrotron energy profile

Transverse periodic boundary condition

### Plasma channel (gray)

Transverse density profile is parabolic



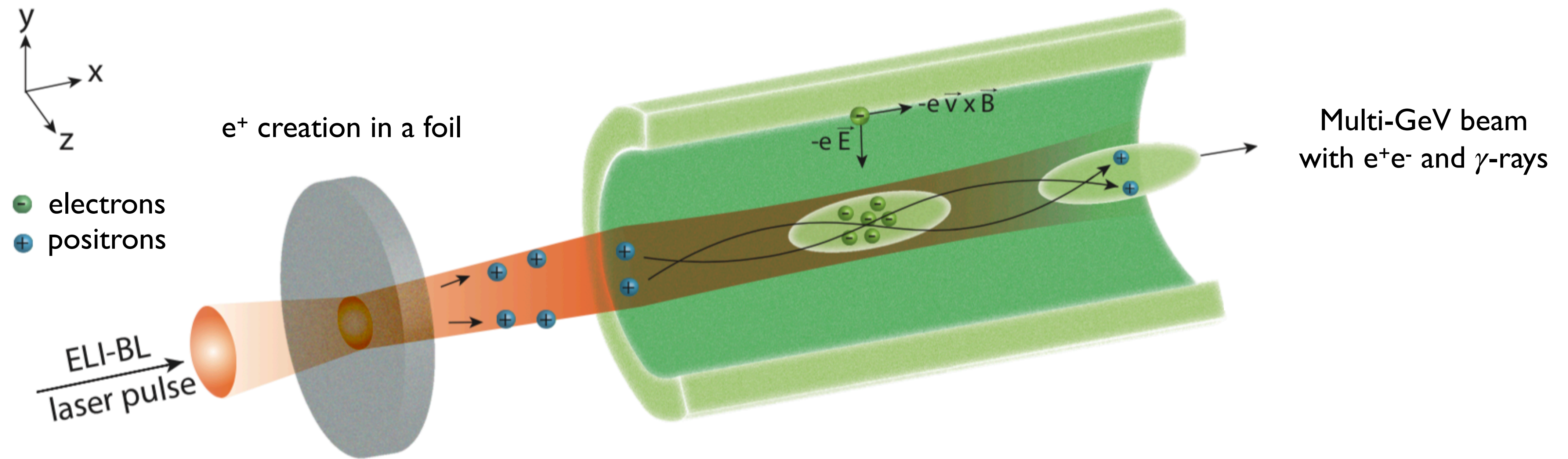
### After $\sim 400 \mu\text{m}$ of propagation

$\sim 10^5$  positrons with a  $\sim 1 \text{ GeV}$  peaked spectrum

Emittance  $\epsilon_{\text{rms}} = 0.5 \text{ mm} \cdot \text{mrad}$



# Positrons can also be created by Bethe-Heitler and accelerated



~10x better e<sup>+</sup> retention for a target in the middle of the plasma

**Electron acceleration**

**Positron creation and acceleration**

**Radiation generation**

What does the radiation look like?



# Why consider DLA-based radiation sources?

## Radiation generation

High energy density

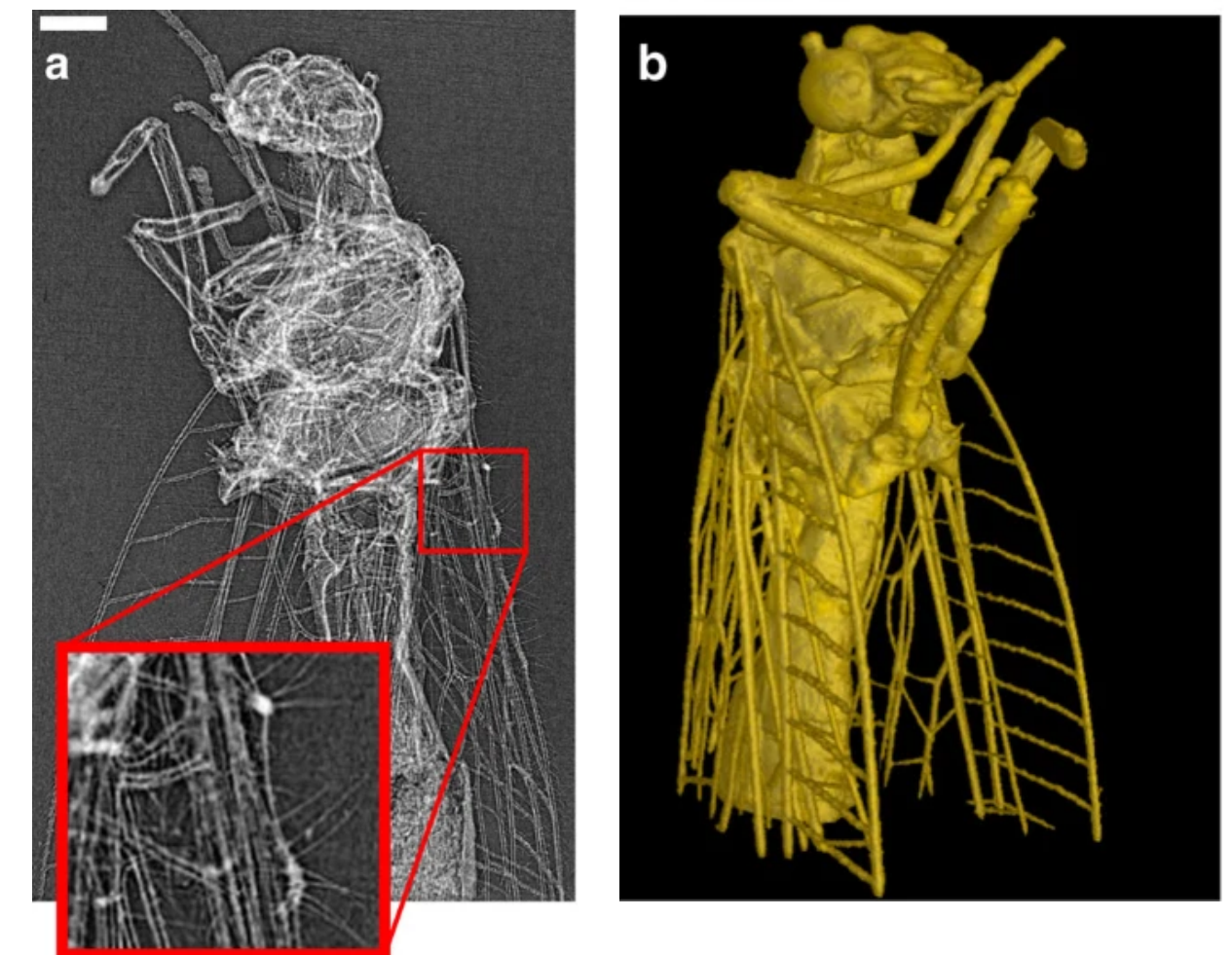
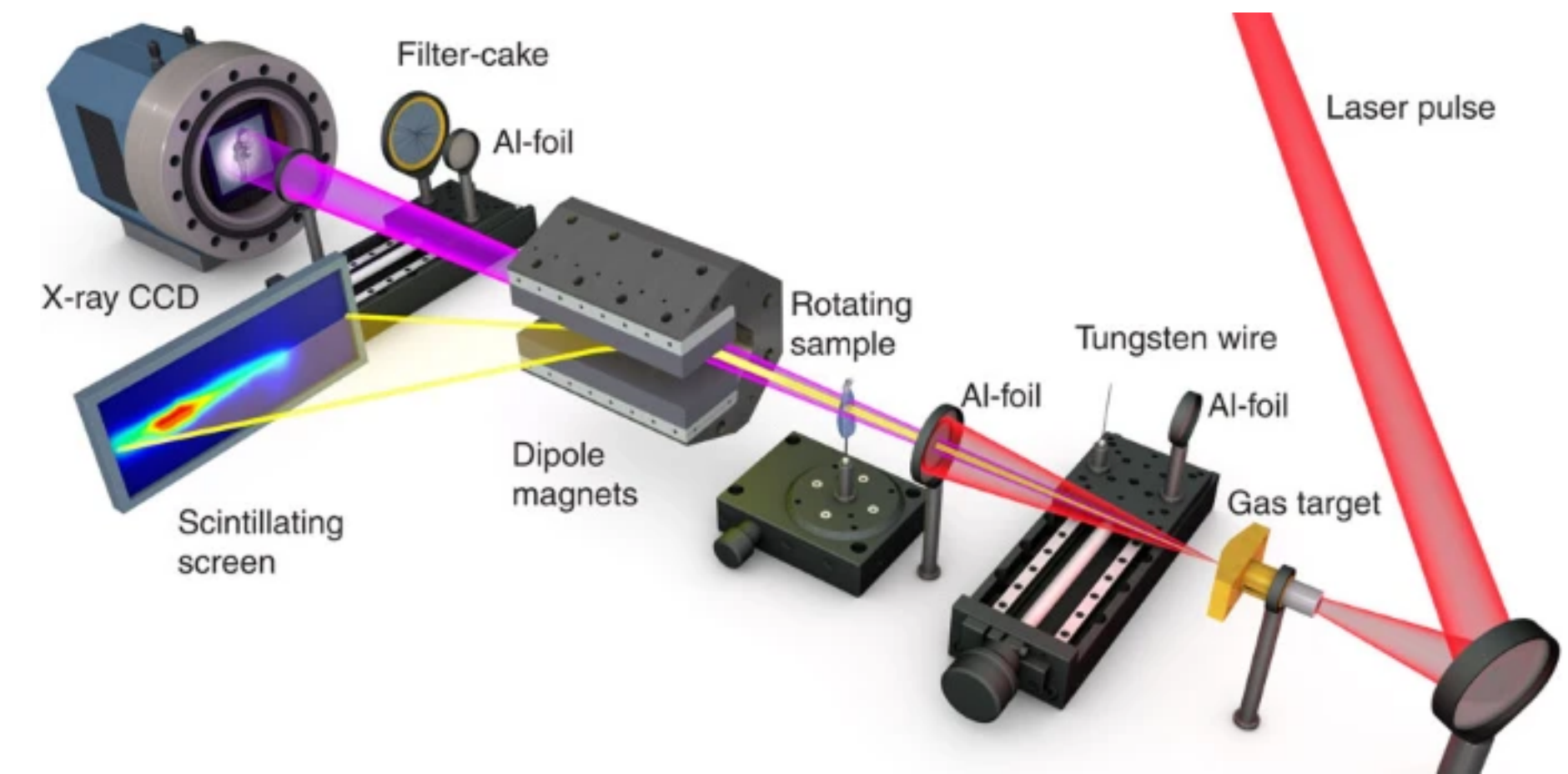
Small source size

Compactness

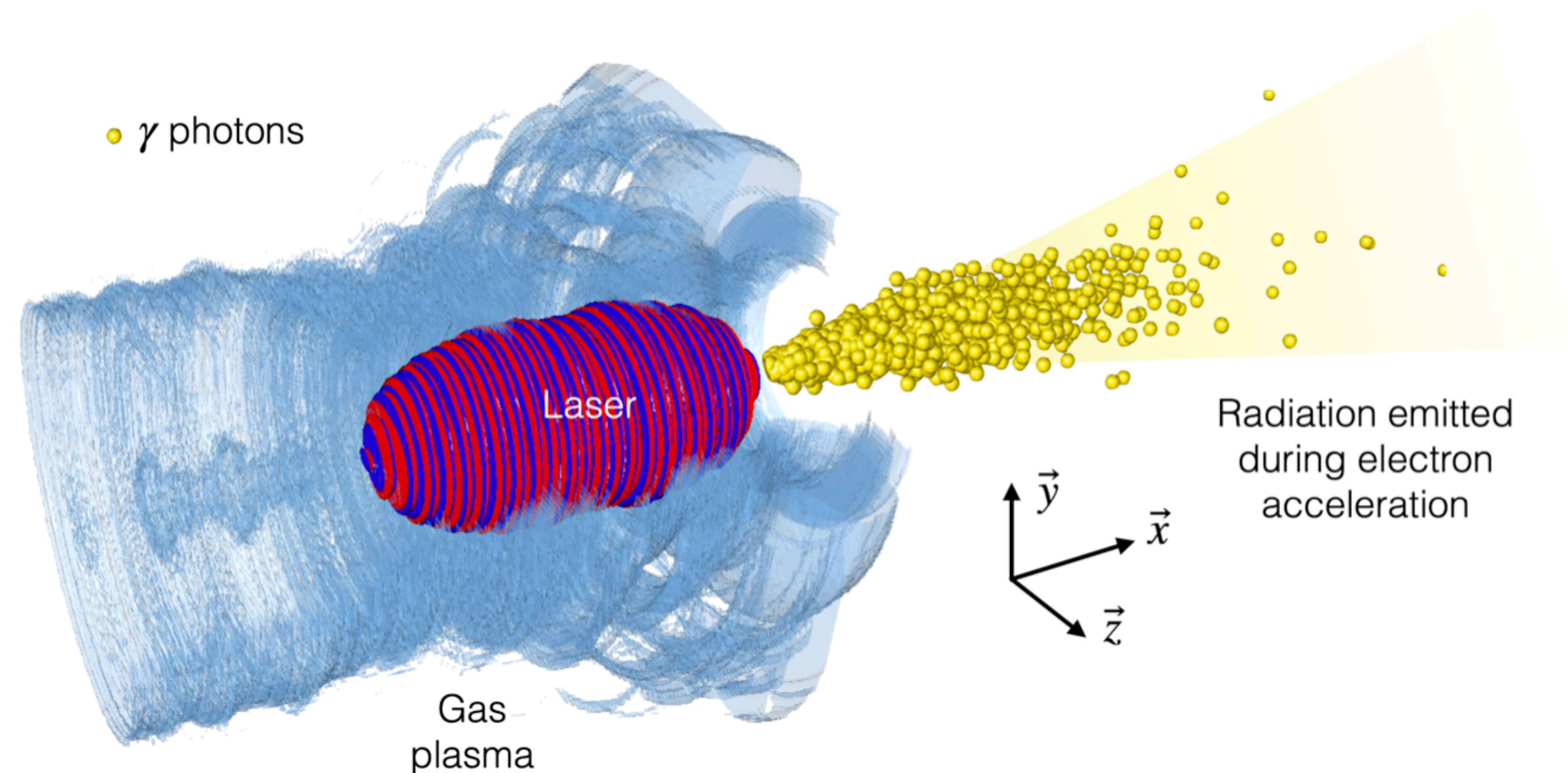
High brightness

Broad wavelength range

Versatility



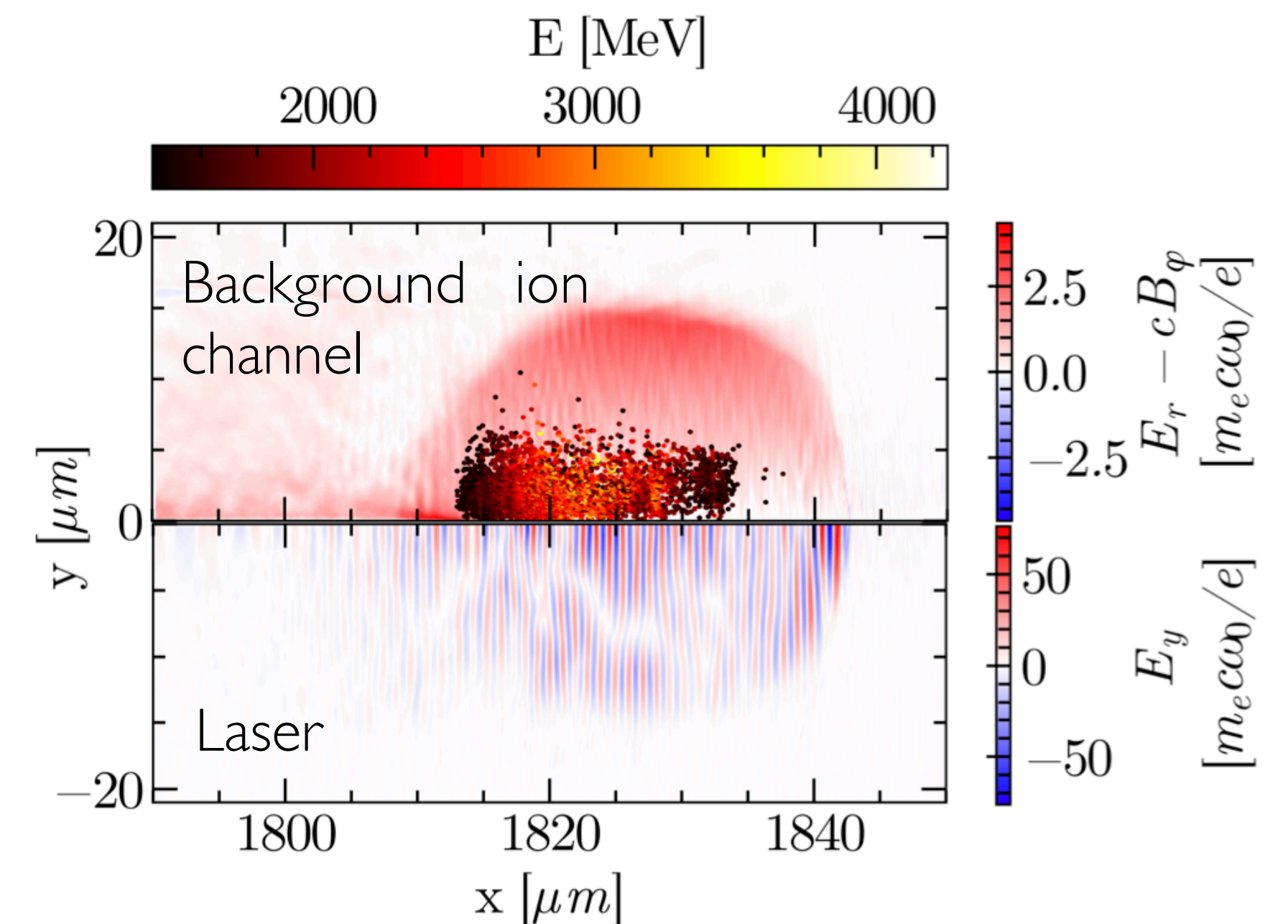




While electrons are accelerated by the laser, they perform betatron oscillations transversely to the laser propagation direction. Radiation is emitted in well collimated in the forward direction.

## Electric fields acting on electrons

Despite lower field amplitude, background channel field is a dominant source of radiation emitted by accelerated electrons and defines radiation properties such as critical frequency, yield and collimation





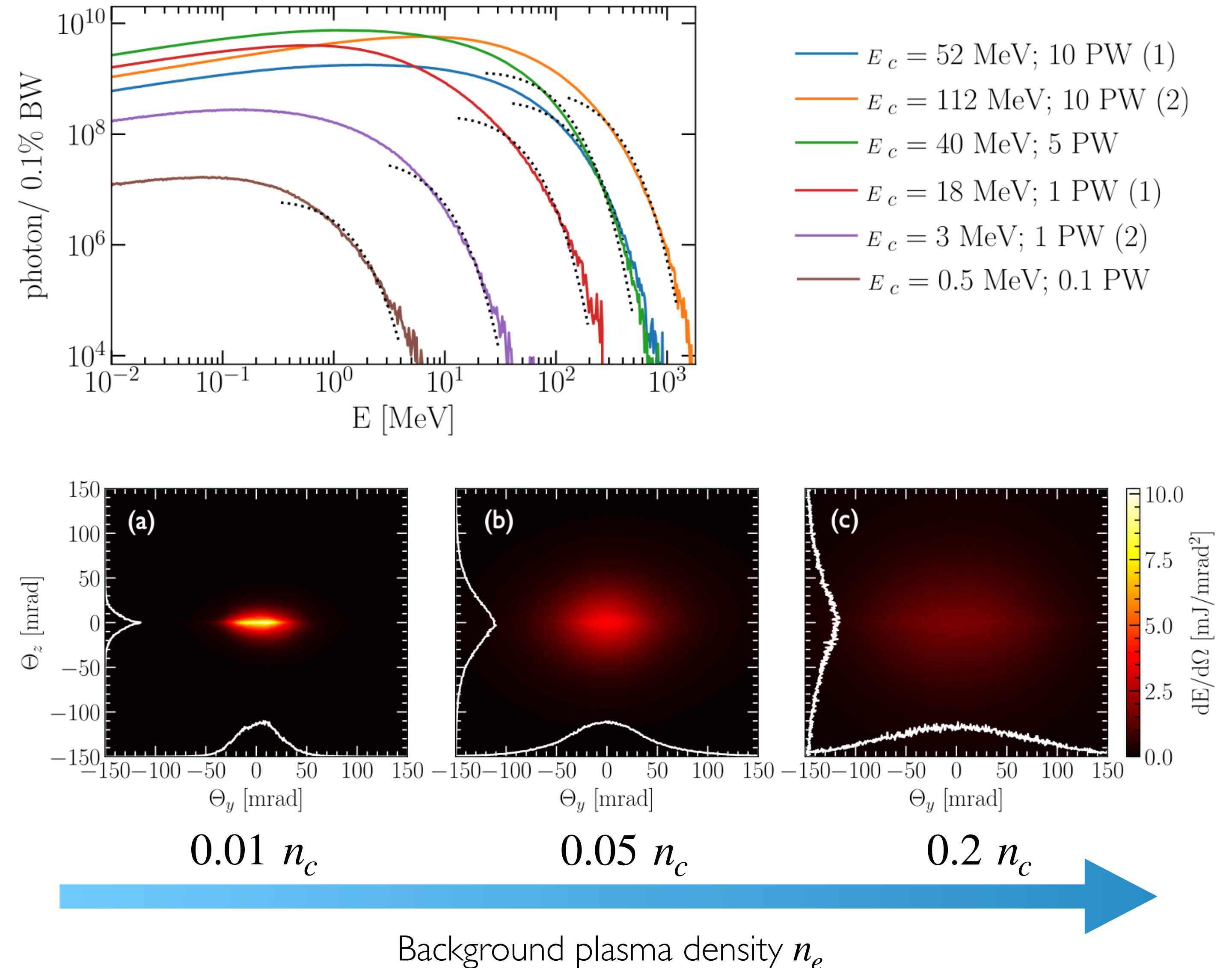
## Laser intensity controls spectrum

Higher laser intensity can lead to high energy of accelerated electrons, which results in higher frequency of emitted radiation ( $E_c \sim \gamma^2$ )

$$E_c [\text{eV}] \simeq \frac{2.1}{\lambda [\mu\text{m}]} \left( \frac{a_0}{\varepsilon_{\text{cr}}} \right)^3$$

Background density also increases frequency of emitted radiation, but lower density results in more collimated radiation

$$\Theta = \left( \frac{n_e \varepsilon_{\text{cr}}}{n_c a_0} \right)^{1/3}$$





Number of photons:  $10^7 - 10^9 / 0.1\%$  BW  
Divergence :  $\sim 10$  mrad  
Source size:  $< 10 \mu\text{m}$   
Source duration: tens of fs

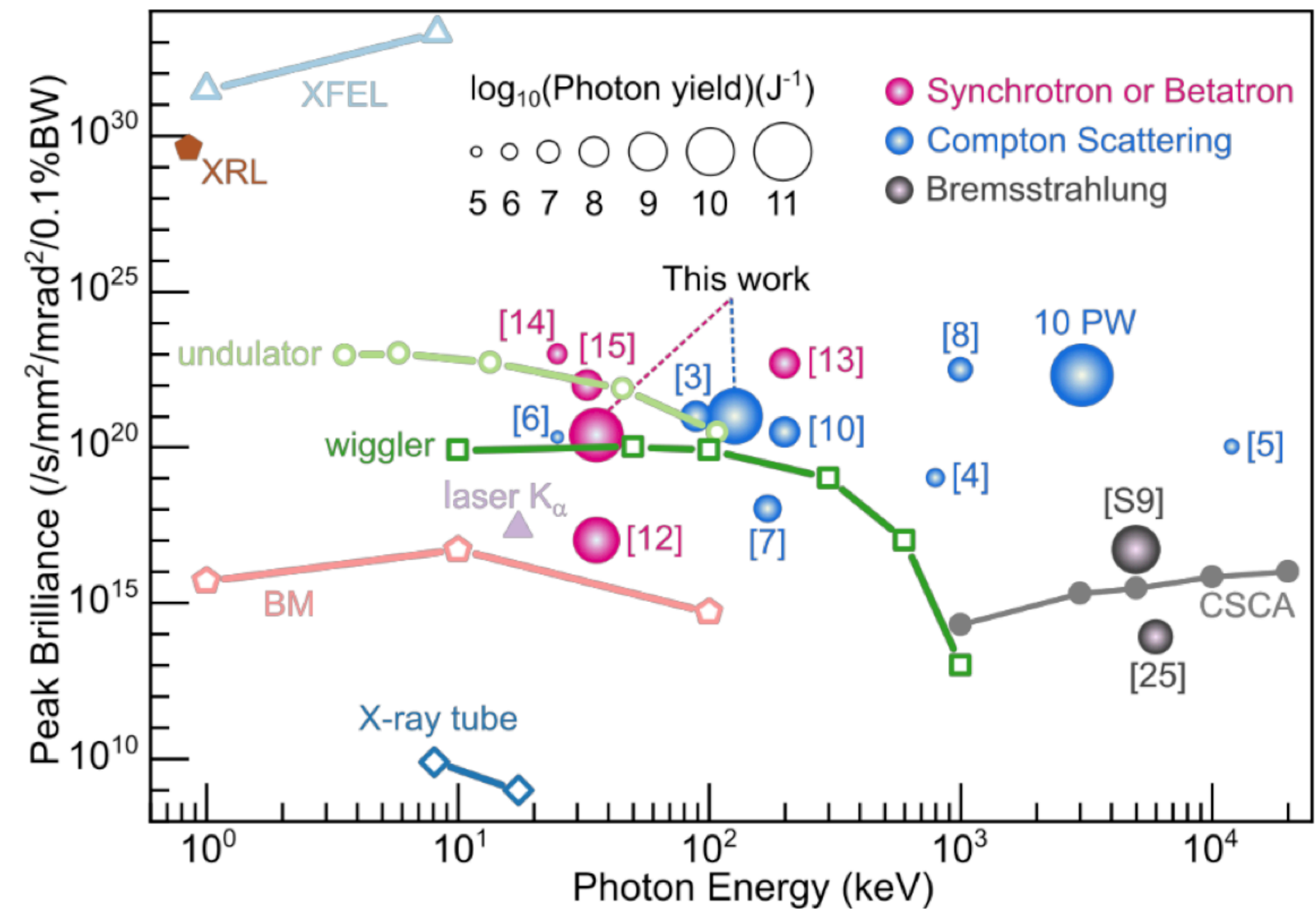
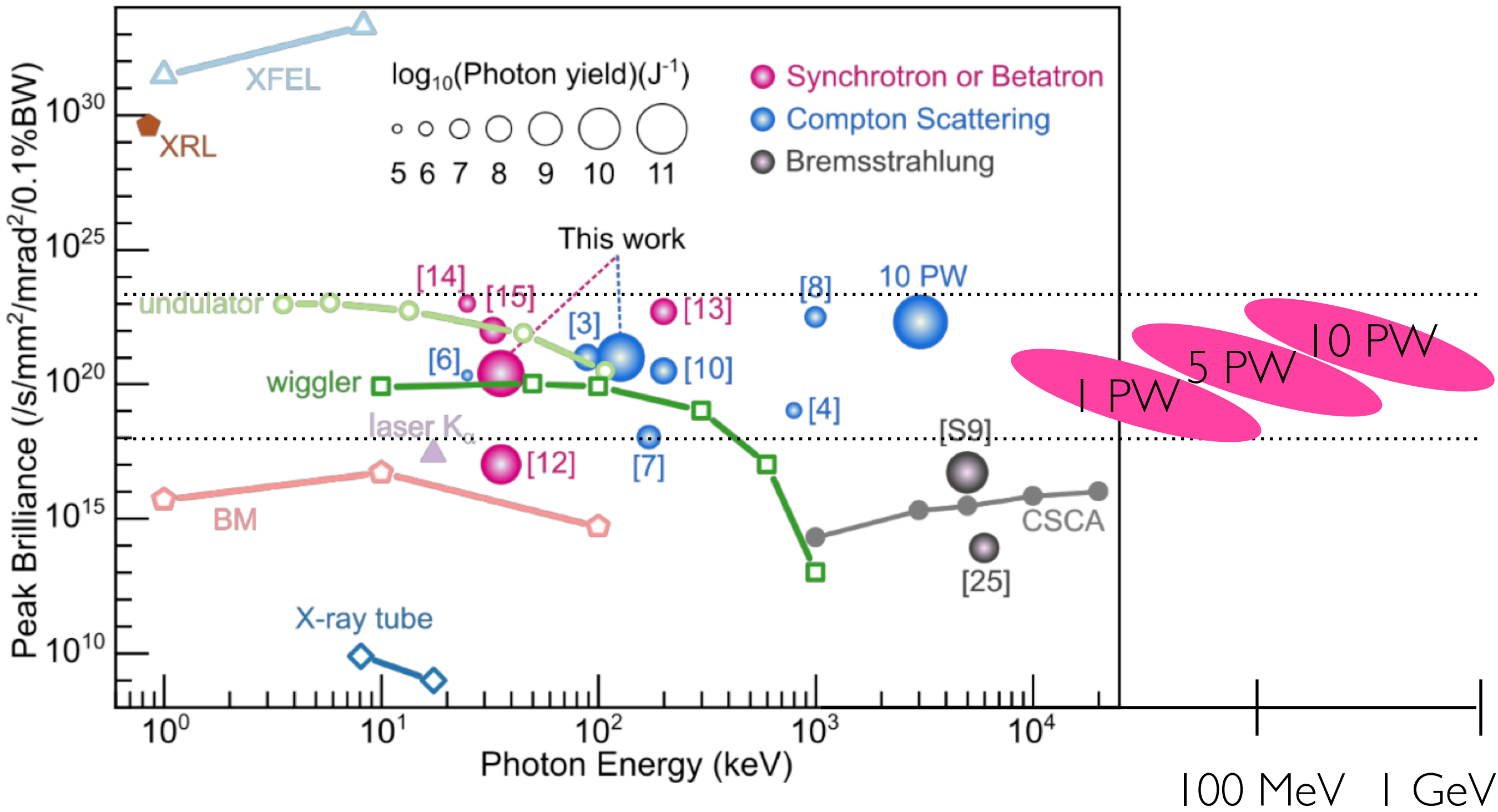


Figure adjusted from Y. Shou et al., Nat. Photonics (2023)

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Source duration: tens of fs



### High brilliance made possible

High electron energies ensure low divergence of electrons and consequently photons.

High number of accelerated electrons ( $> 100$  nC) ensures that more photons are radiated.

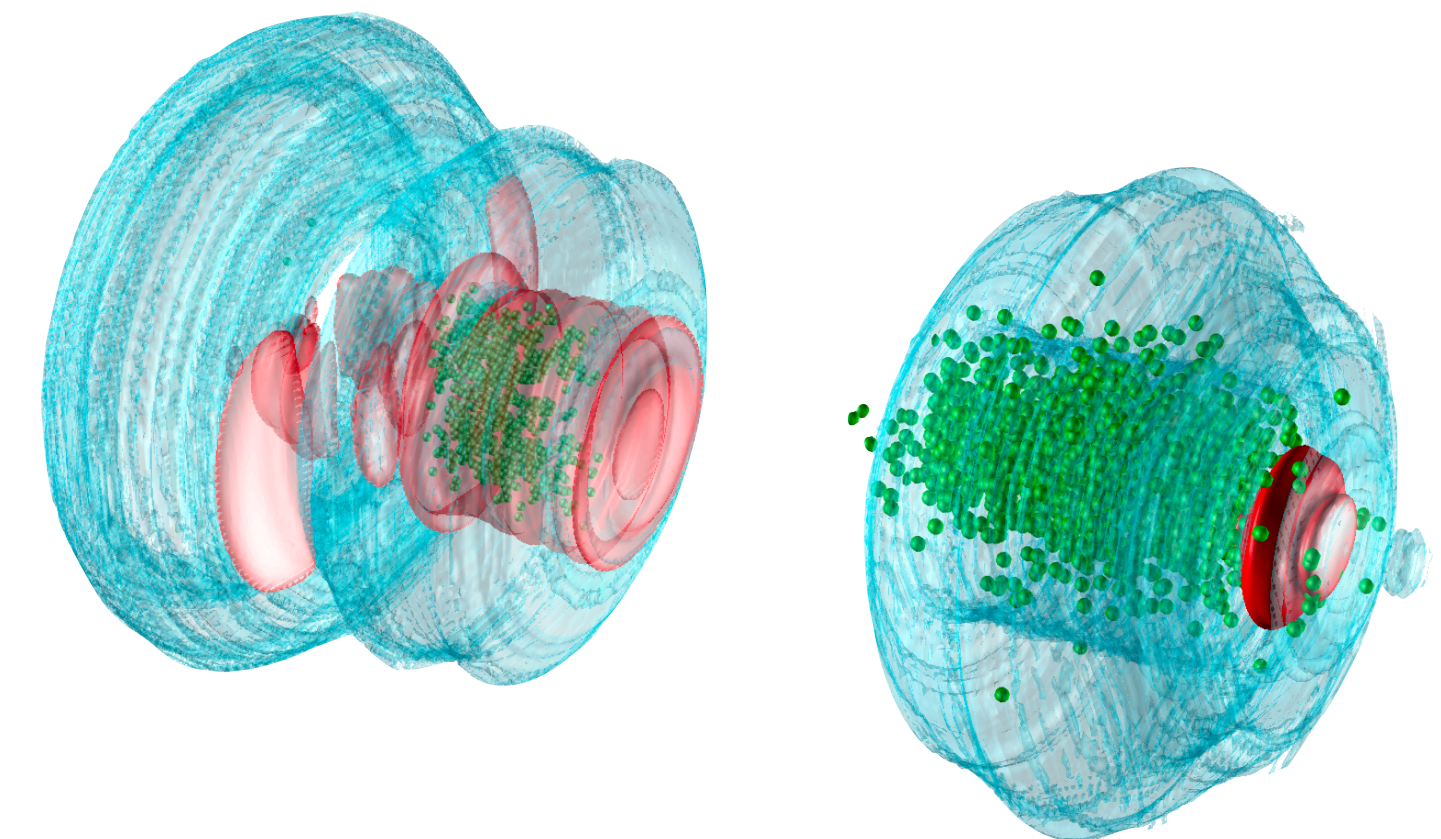
Figure adjusted from Y. Shou et al., Nat. Photonics (2023)

Direct laser acceleration can provide high-charge ( $> 100$  nC), broadband multi-GeV electron beams.

We can optimize the acceleration for a given plasma density. Density tailoring allows to reduce acceleration distance and mitigate RR limit.

Positrons can be created and accelerated by DLA in a single stage with the same laser (e.g. ELI L4).

Direct laser acceleration process can provide high-brilliance gamma-ray beams.



**Next steps:**

Using DLA + BH can give additional radiation, pairs and muons. Also, DLA beams can be used for seeding QED cascades.