

New Directions in Axion Detection

**Surjeet Rajendran,
The Johns Hopkins University**

Light Weakly Coupled Bosons

Goal: Solve theoretical problems of the Standard Model
(Strong CP, flavor, hierarchy...)

Strategy: Propose global symmetry at some high scale, broken at low energy

Generic Prediction: Light weakly coupled Goldstone Boson
(Axion, axion-like-particle, familon, relaxion...)

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Technically Natural Interactions

$$\frac{\phi}{f_a} F \tilde{F}, \frac{\phi}{f_a} G \tilde{G}, \frac{\partial_\mu \phi}{f_a} \bar{\Psi} \gamma^\mu \gamma_5 \Psi, g \phi h^2$$

Vector Cousin

$$\frac{F'_{\mu\nu}}{\Lambda} \bar{\Psi} \sigma^{\mu\nu} \Psi, J^\mu A'_\mu, \epsilon F F'$$

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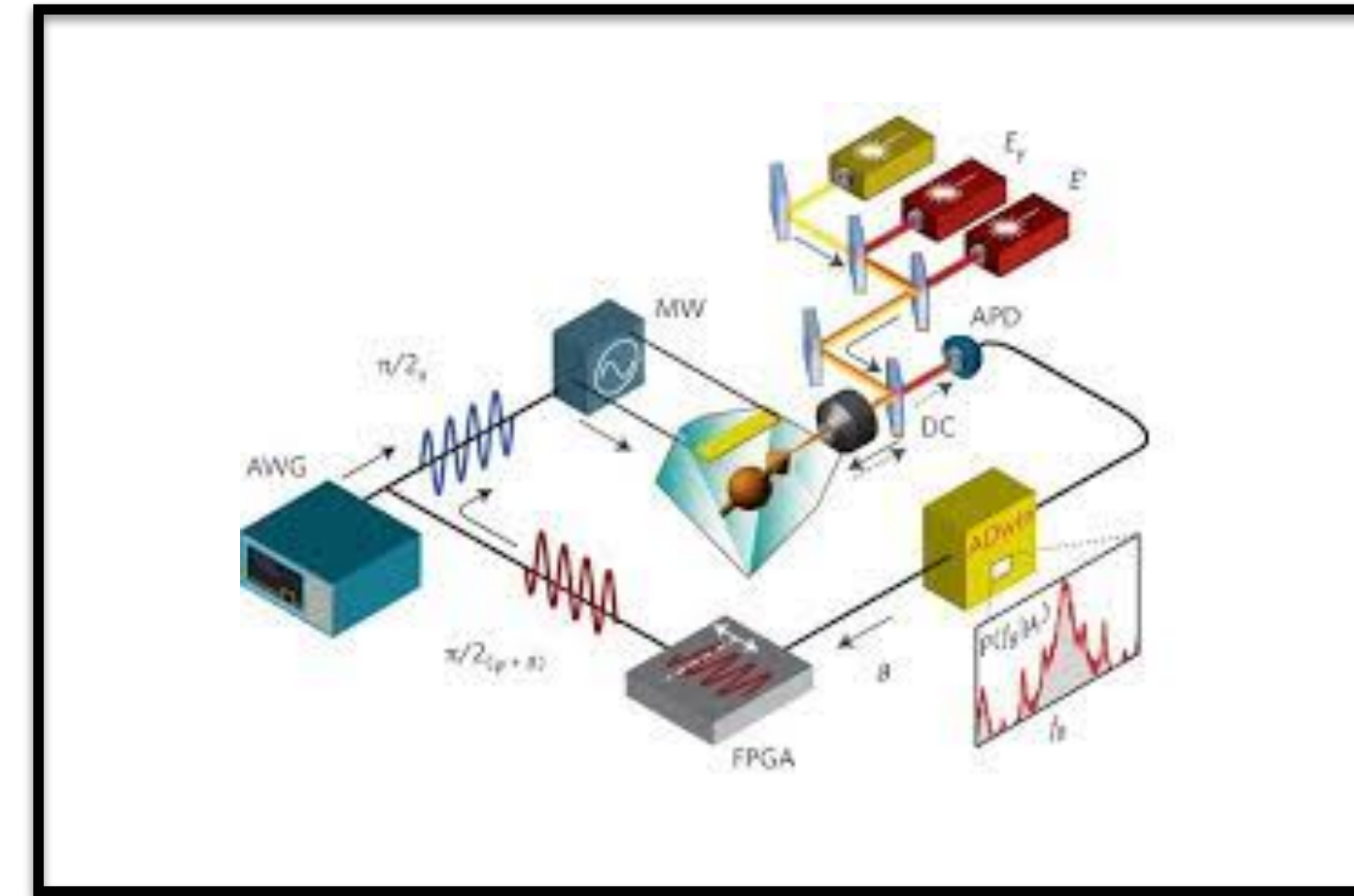
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How do we find them?

Light Boson Detection

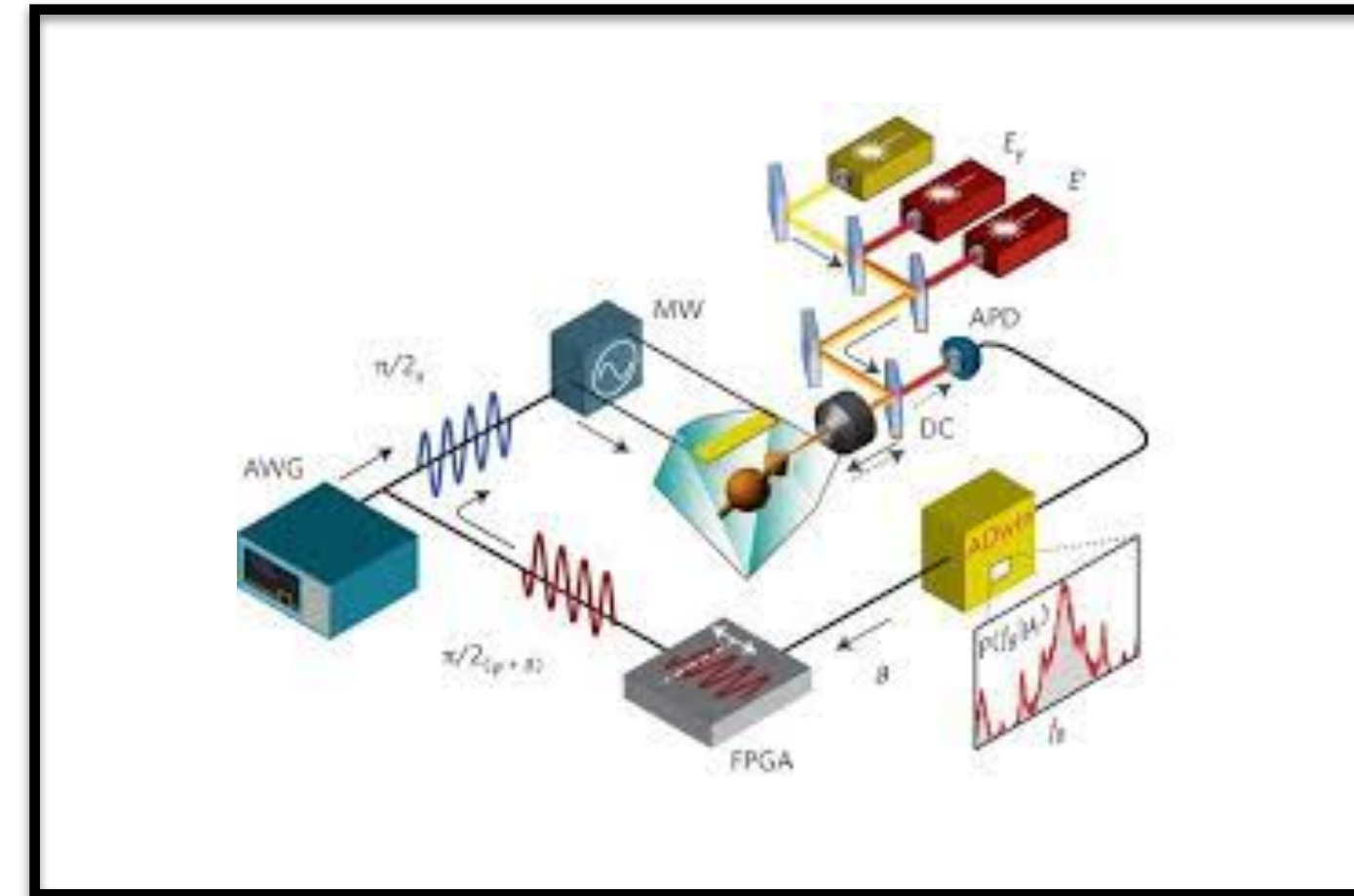
(I) Local Source



Null result directly relevant. Premium to produce and detect

Light Boson Detection

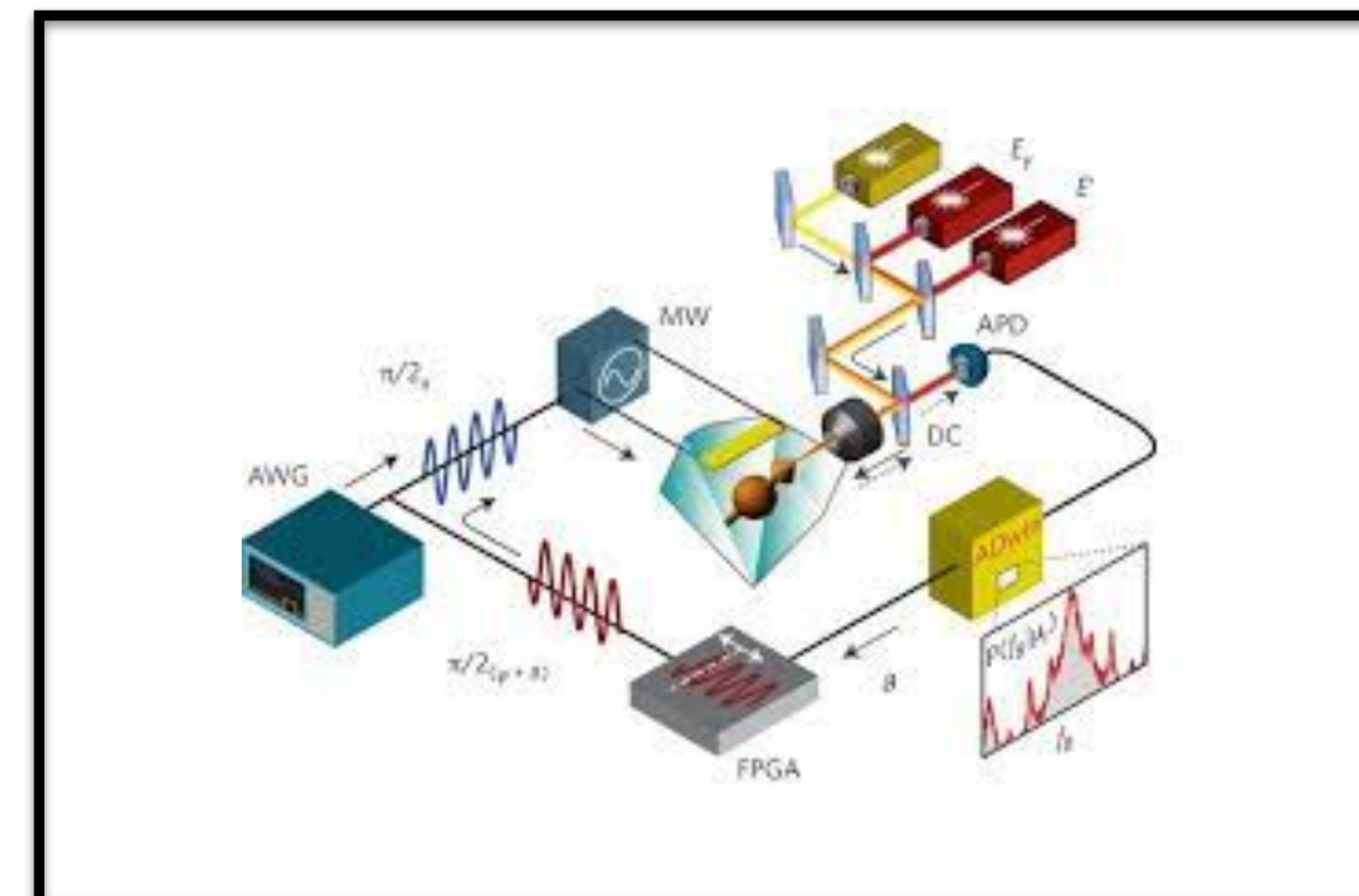
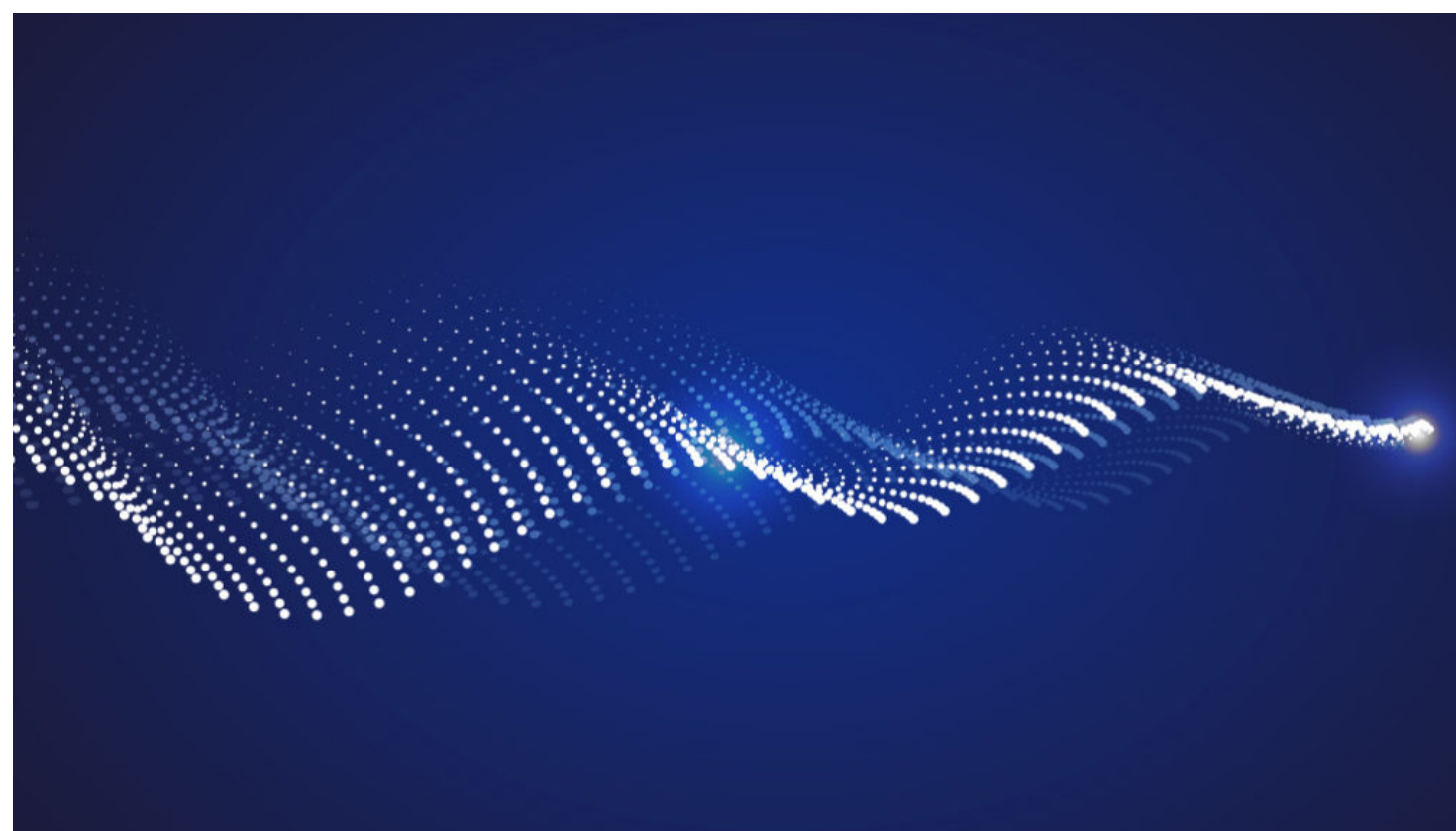
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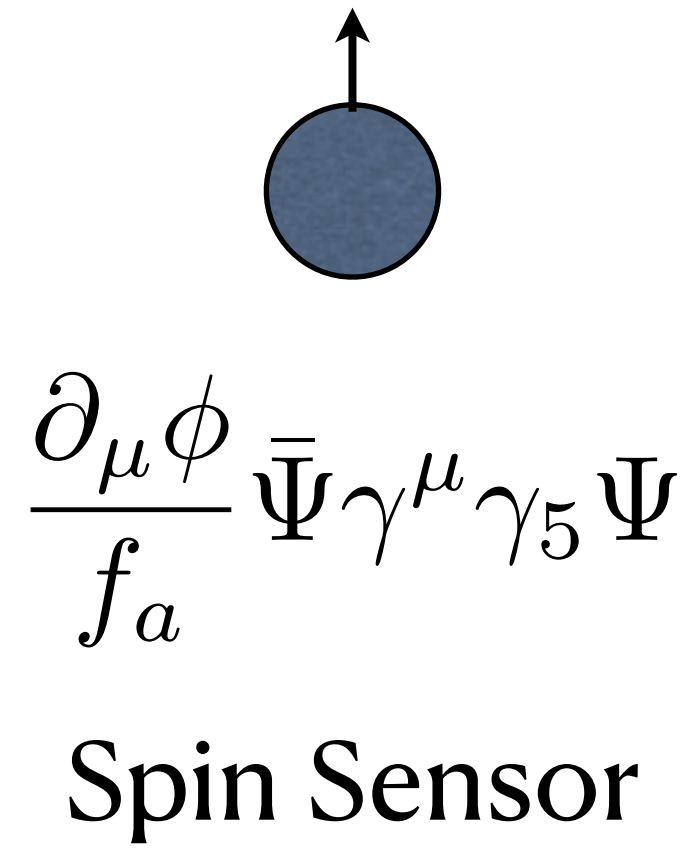
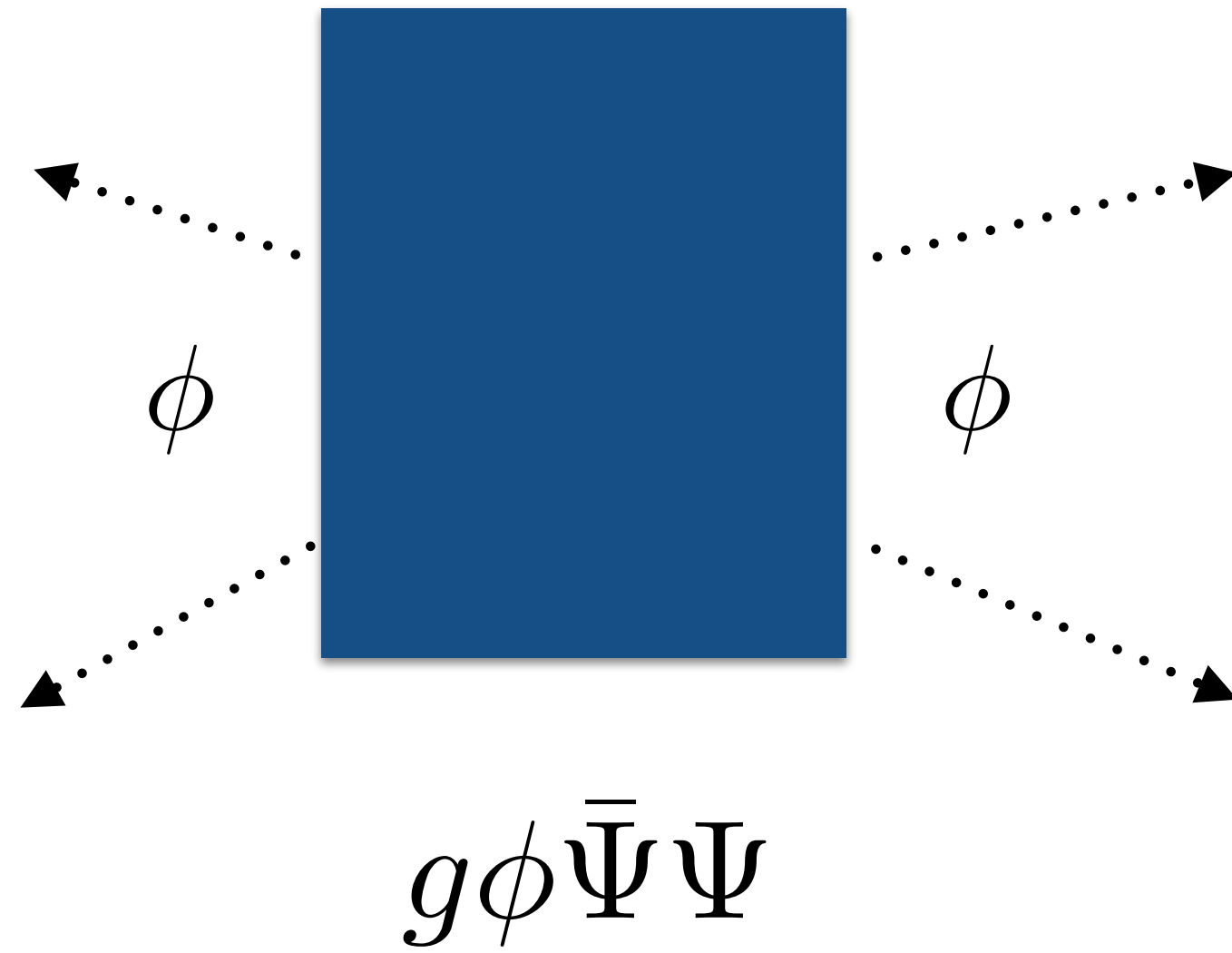
(2) Cosmic Source

Ultra-light dark matter ($\ll 1$ eV)



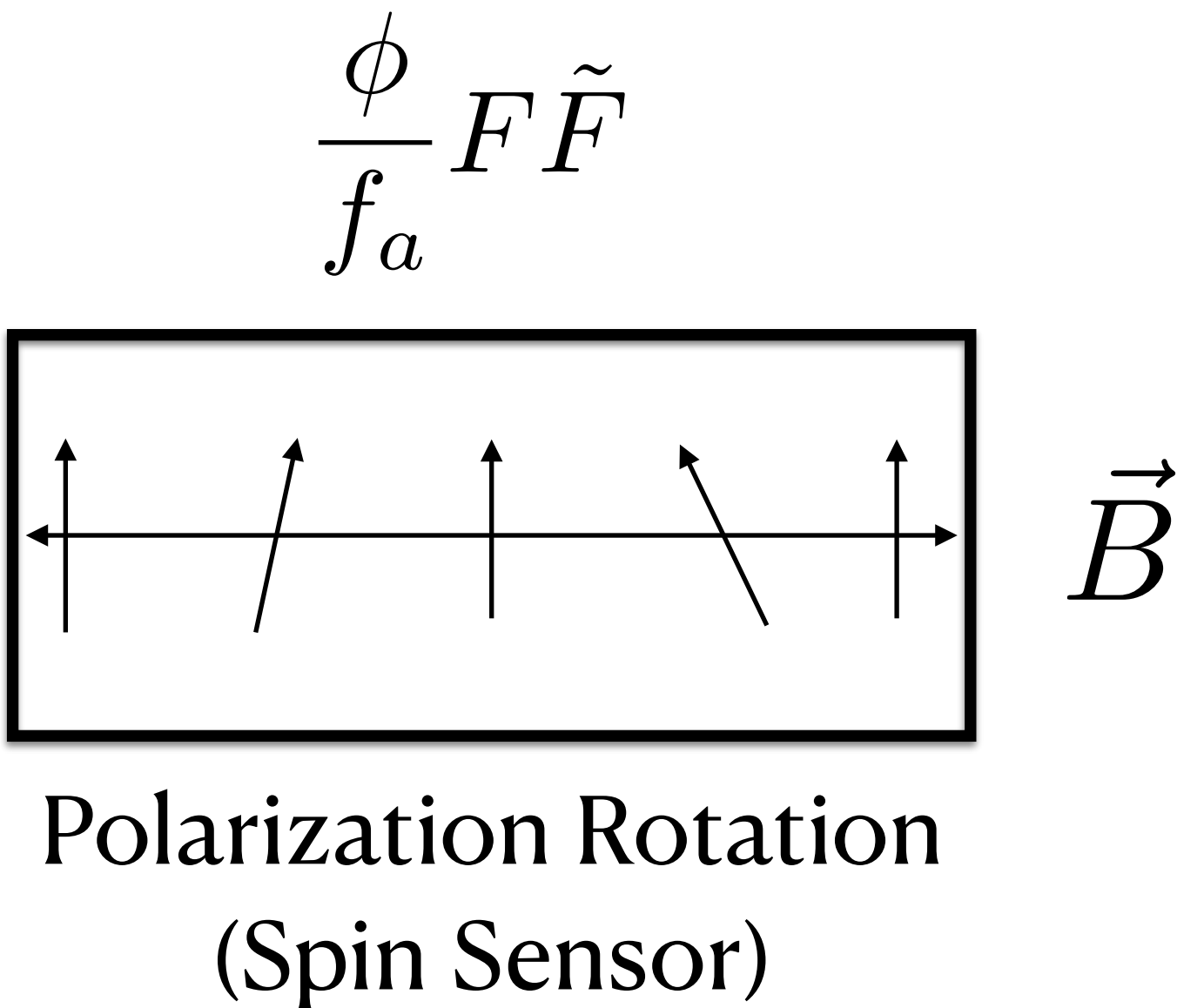
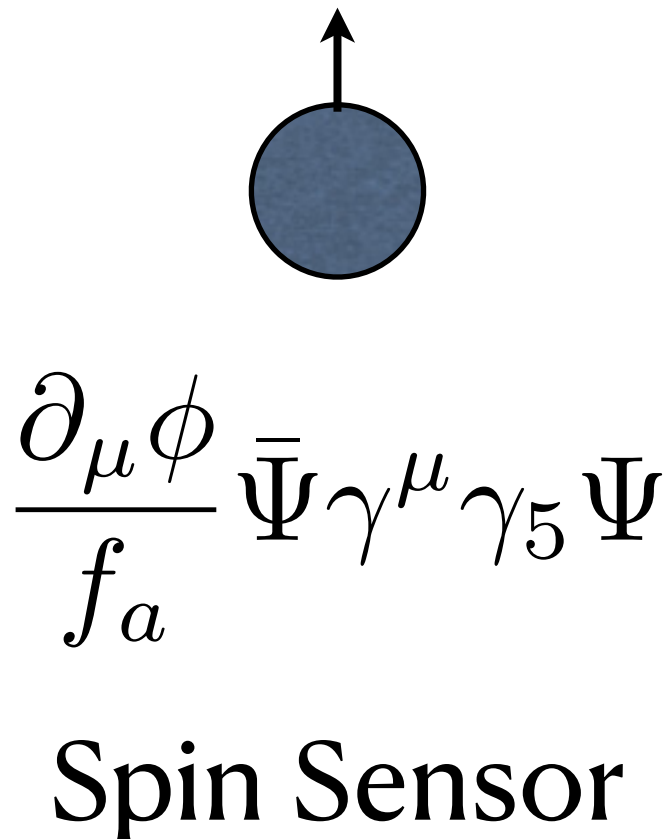
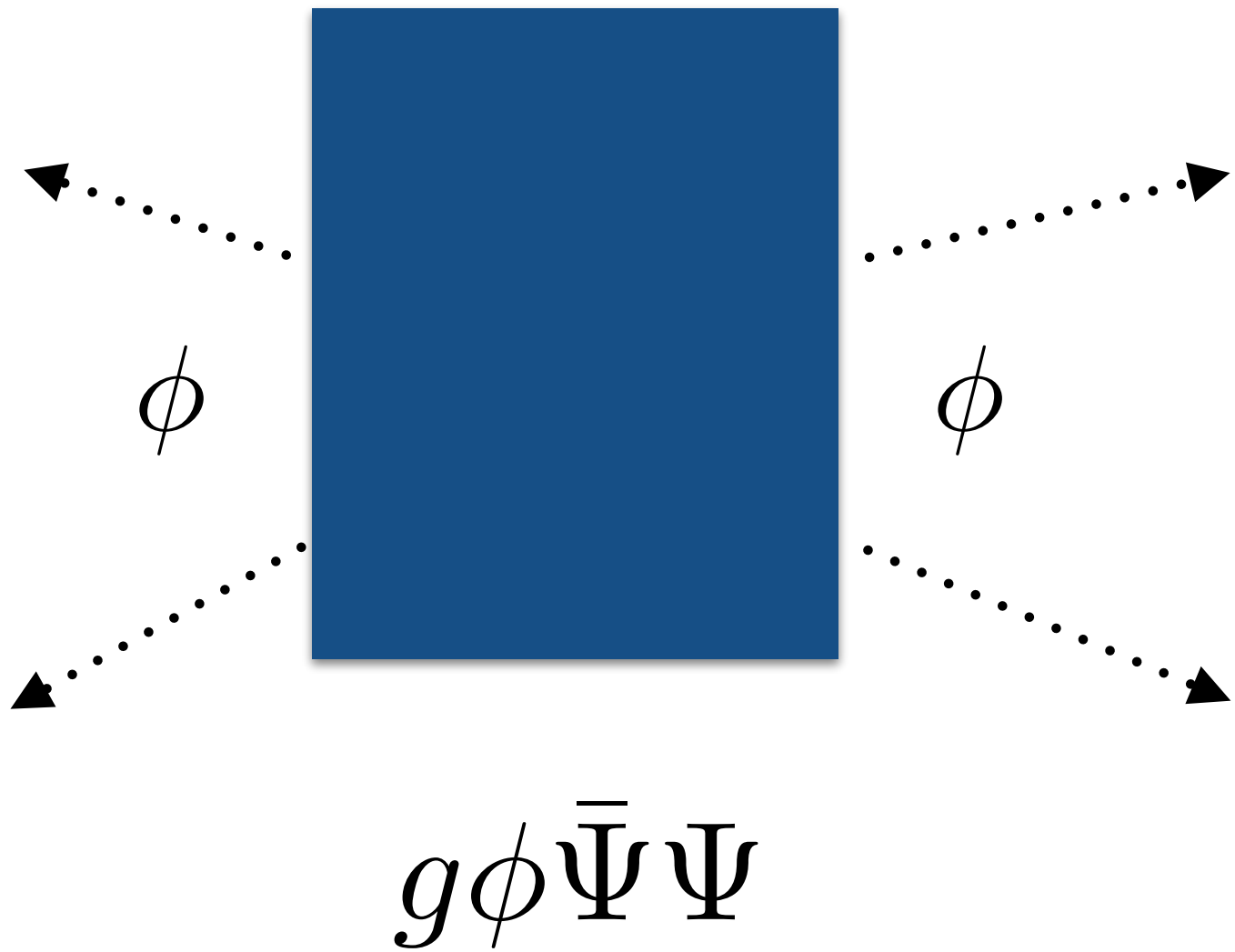
The Axion Landscape

Local Source



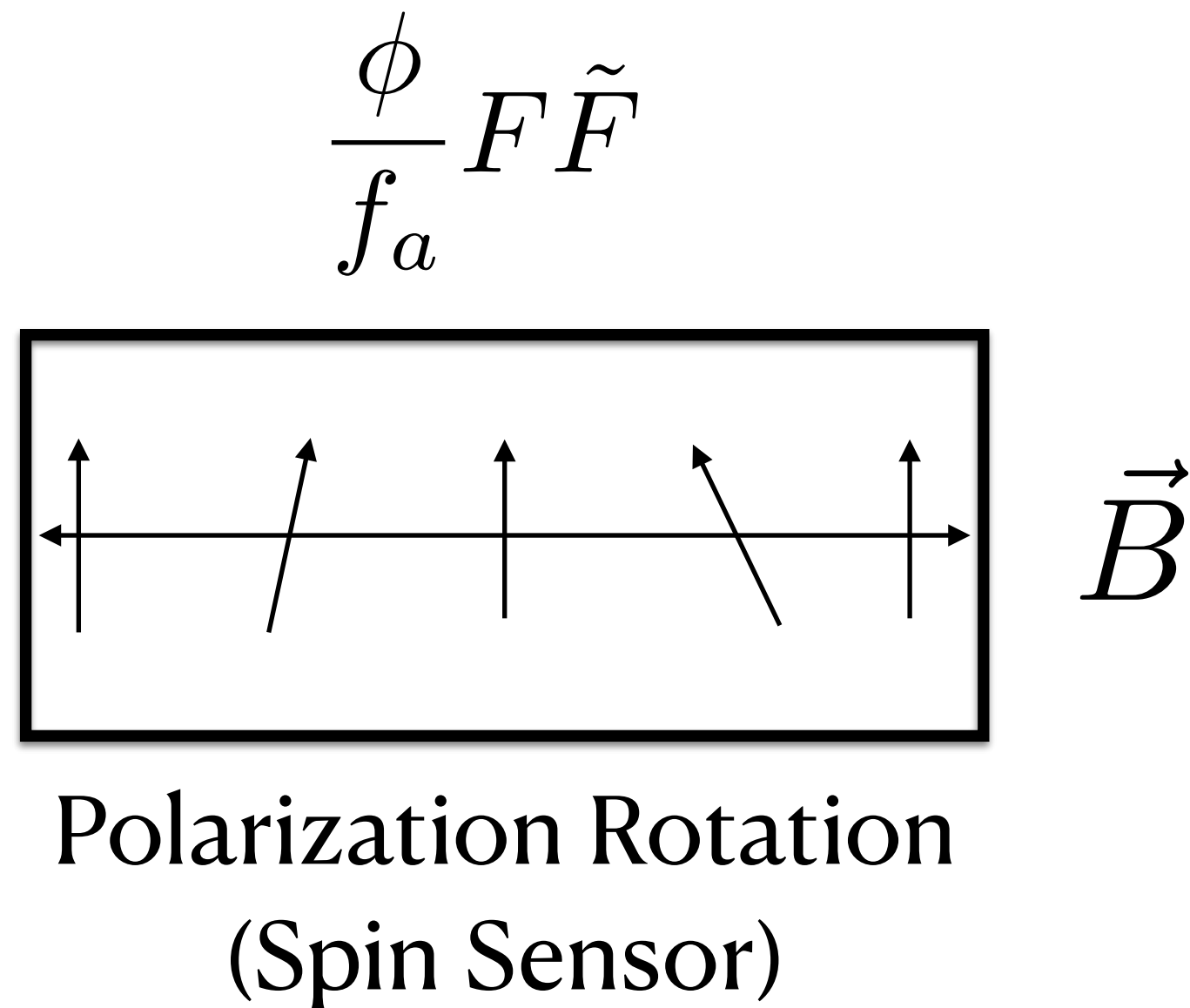
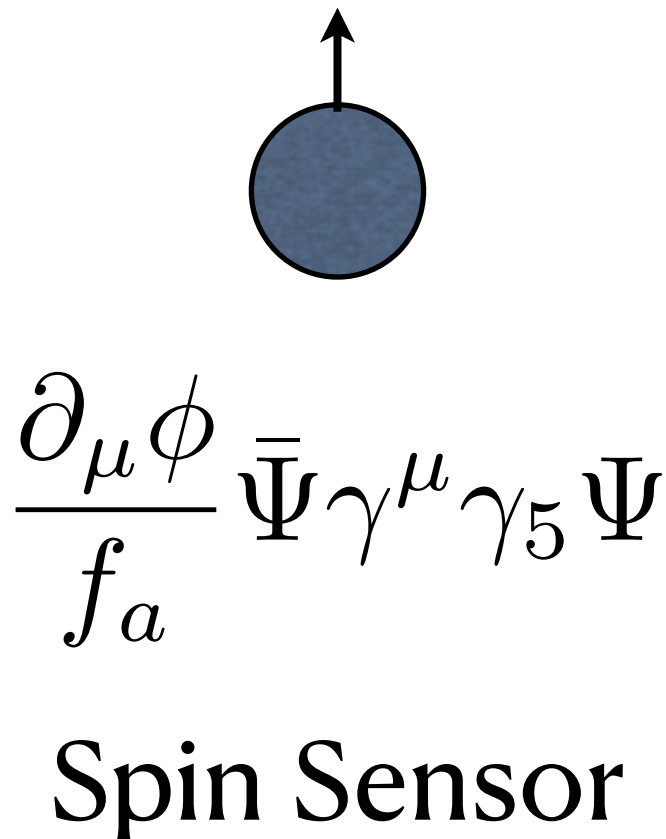
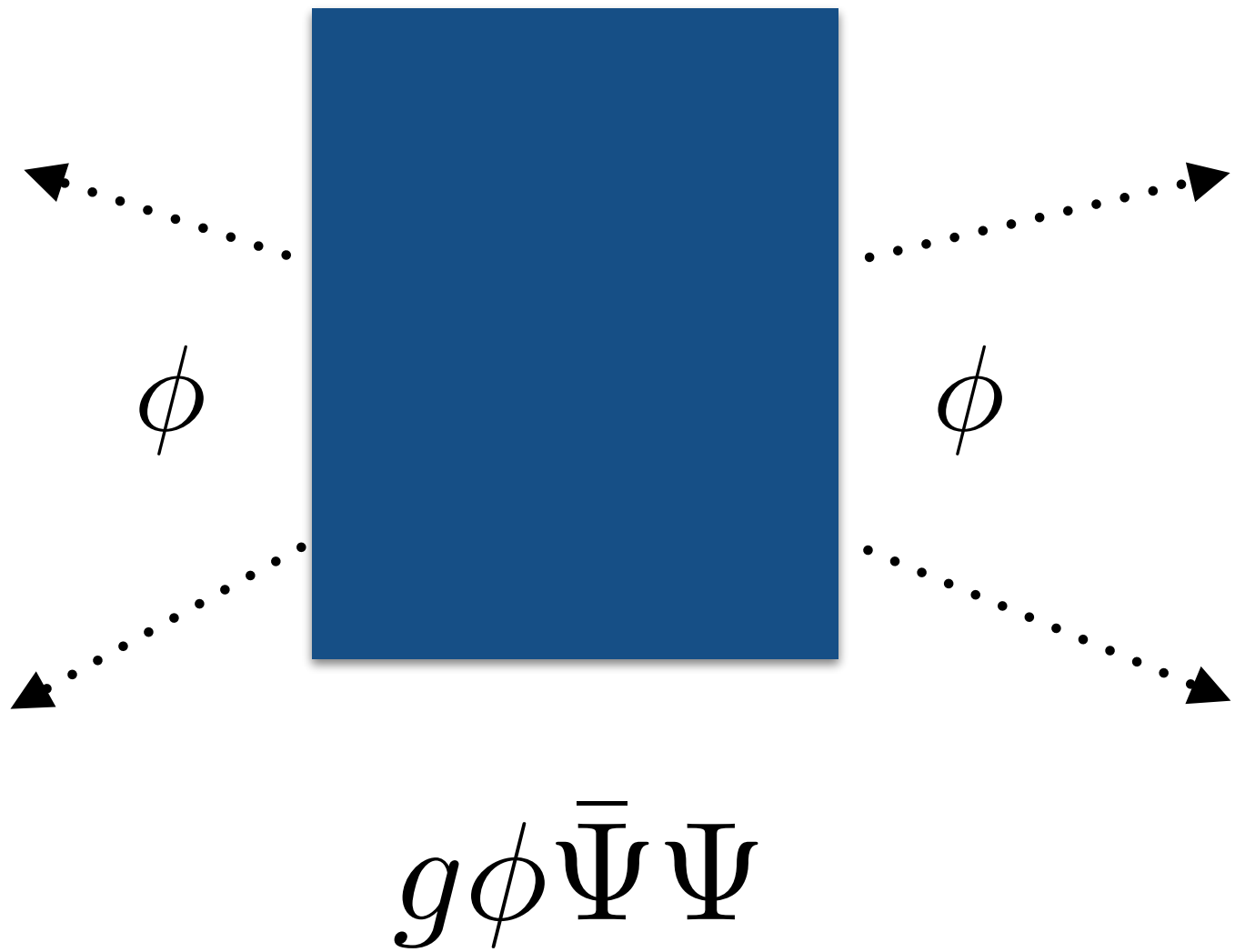
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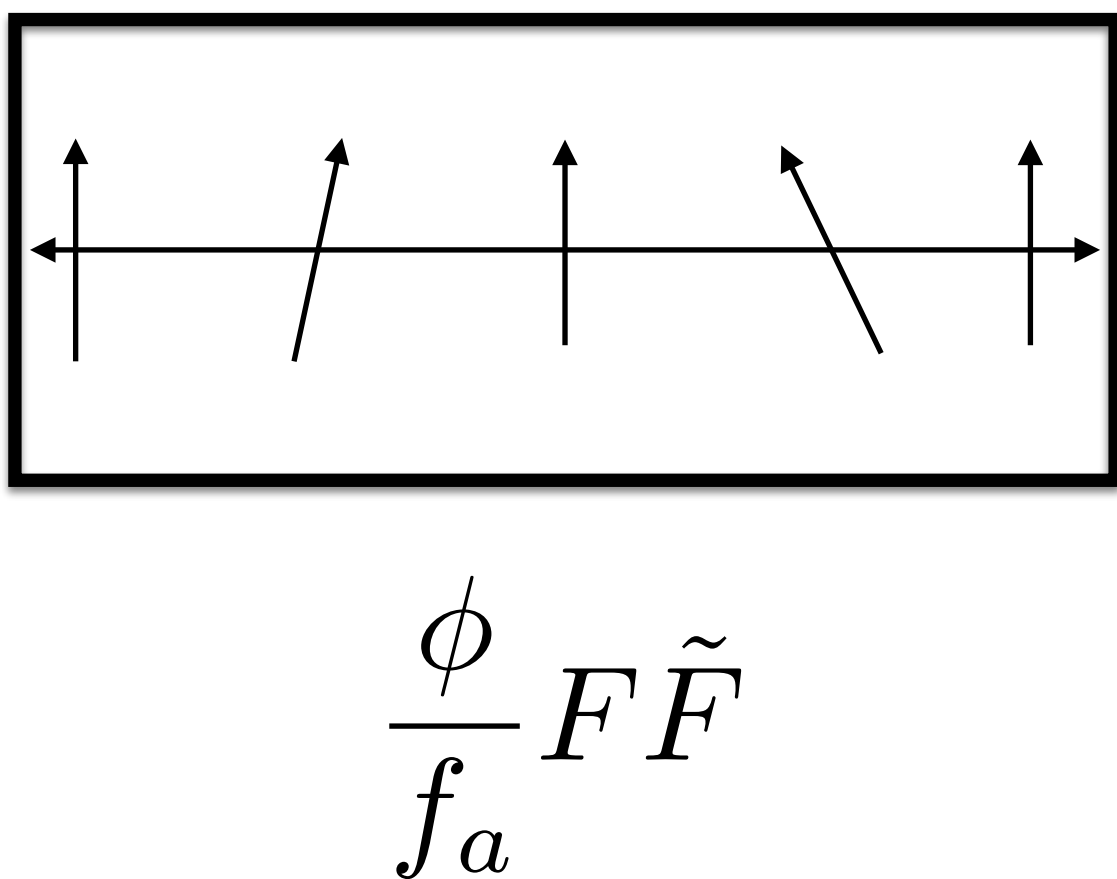
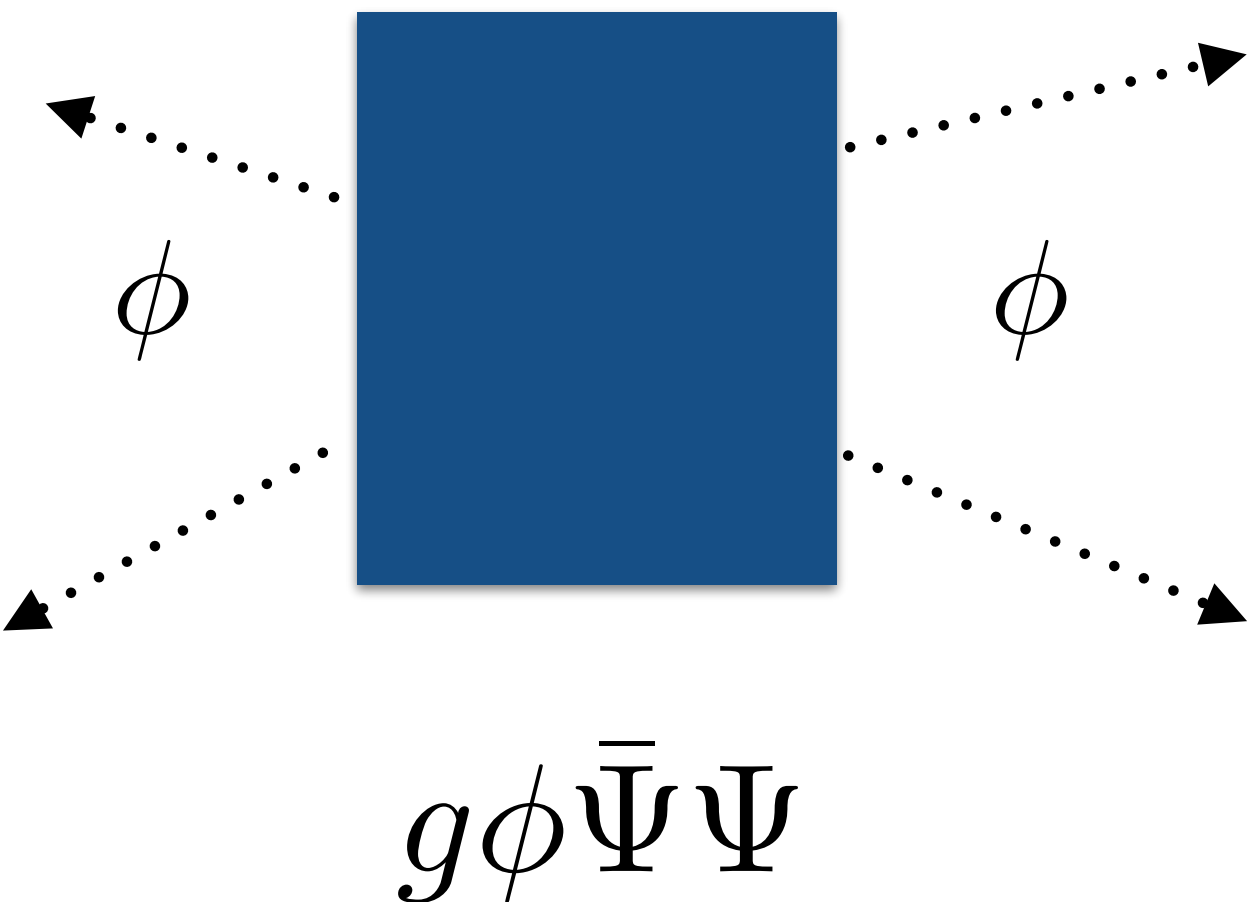


The Axion Landscape

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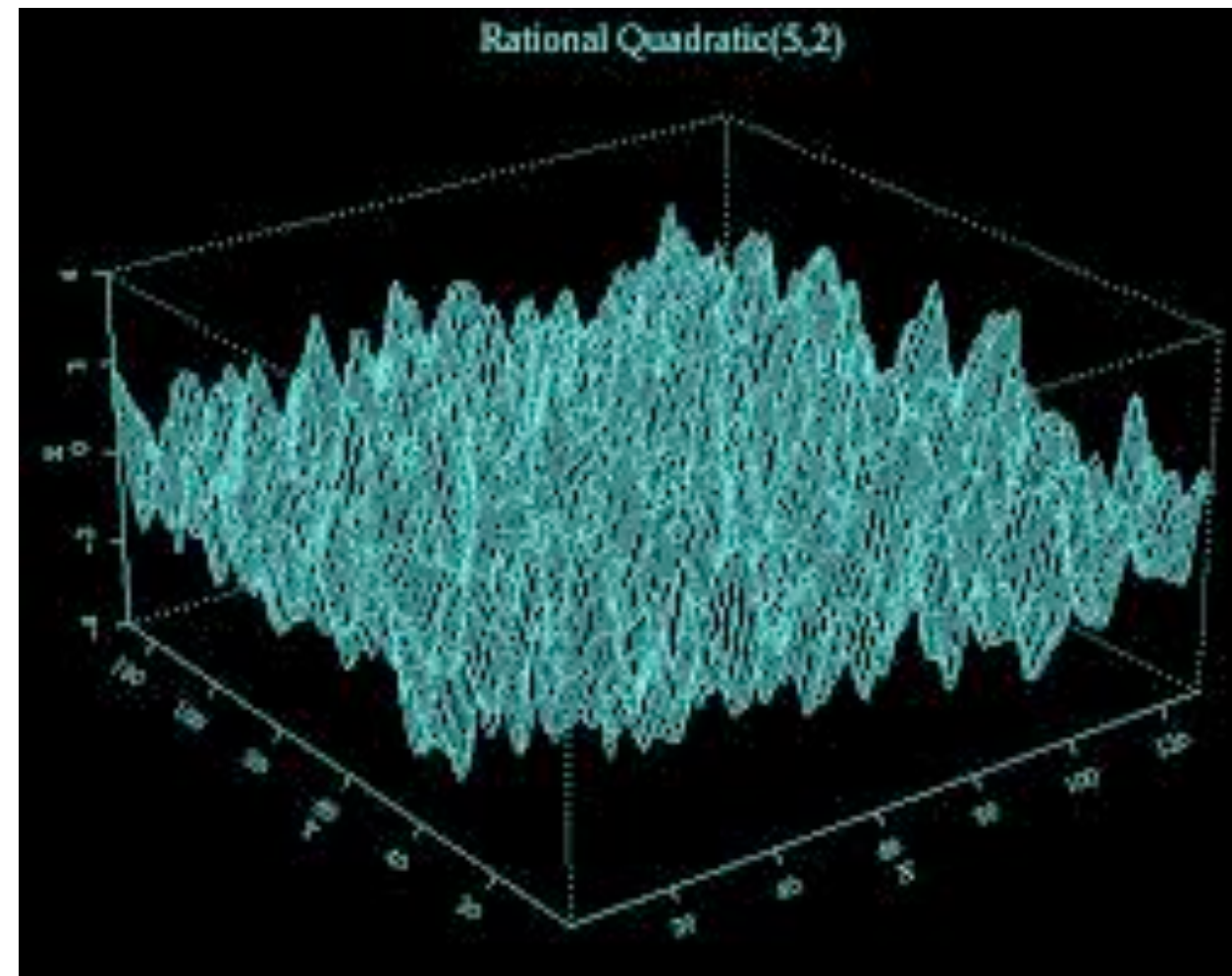


New opportunities?



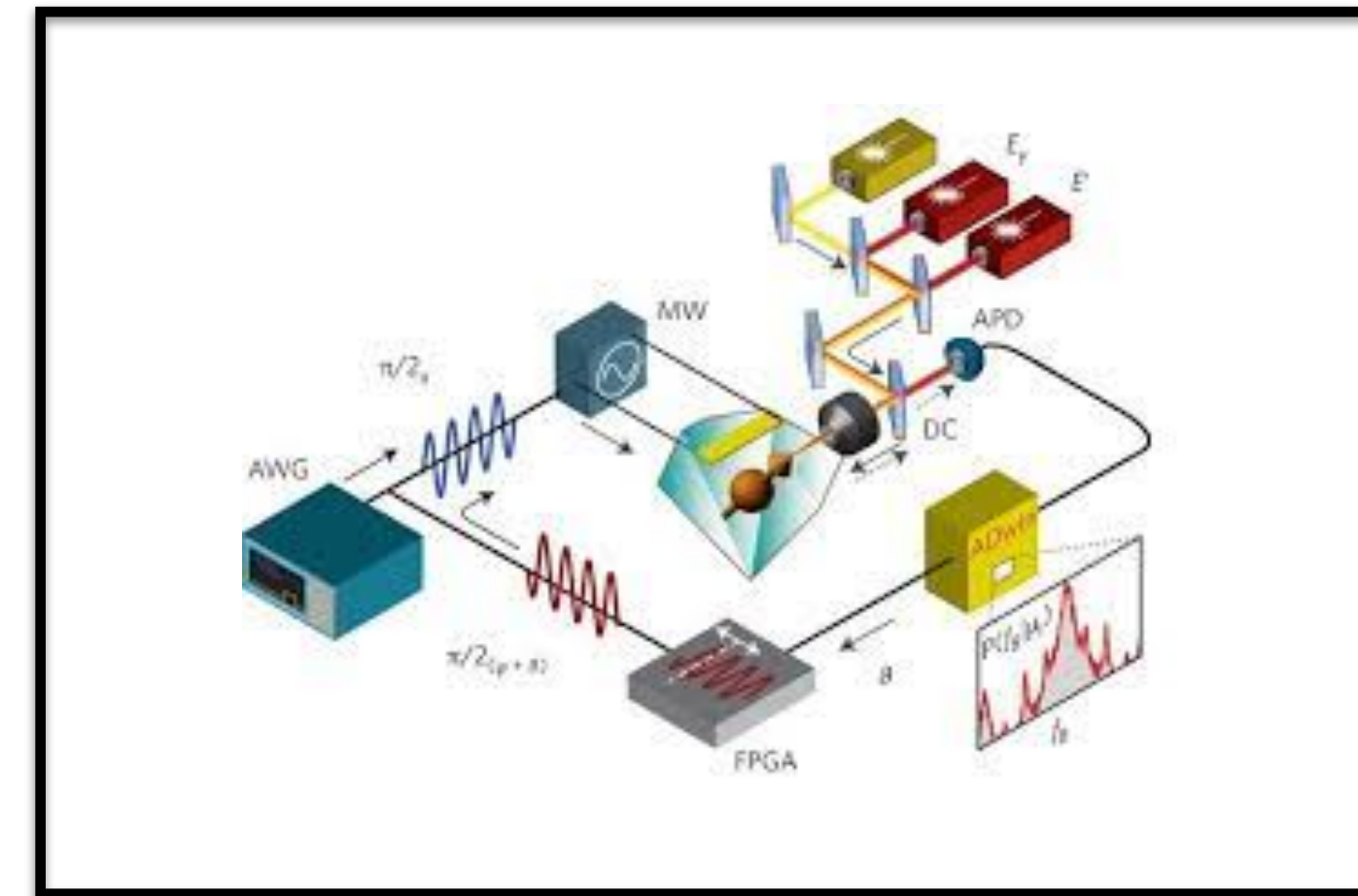
The Axion Landscape

Cosmological Source



Axion Dark Matter

Oscillating signal, narrow band
($Q \sim 10^6$)



Detect Using suitable Resonator



nHz

kHz

MHz

GHz

10 GHz

CASPEr

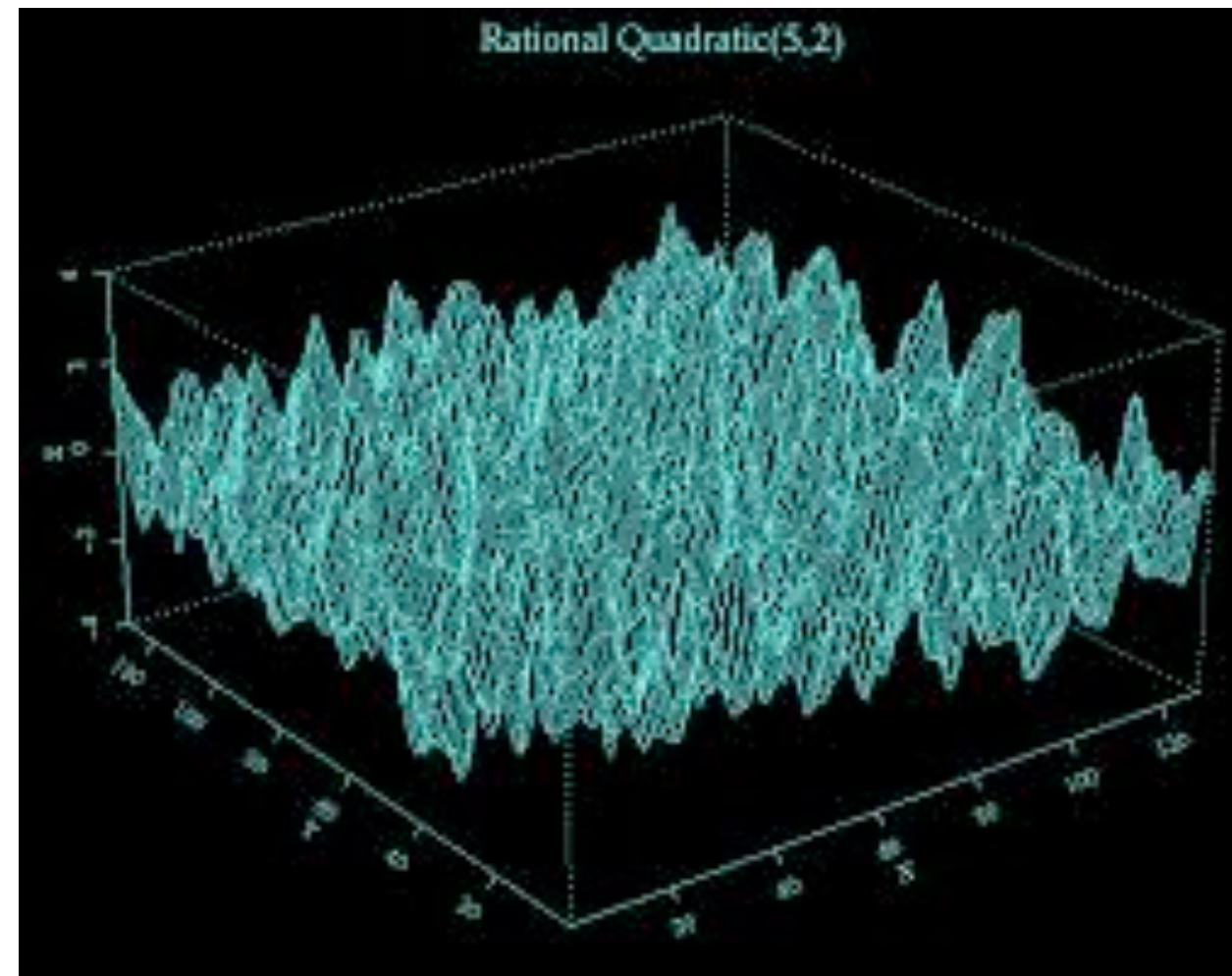
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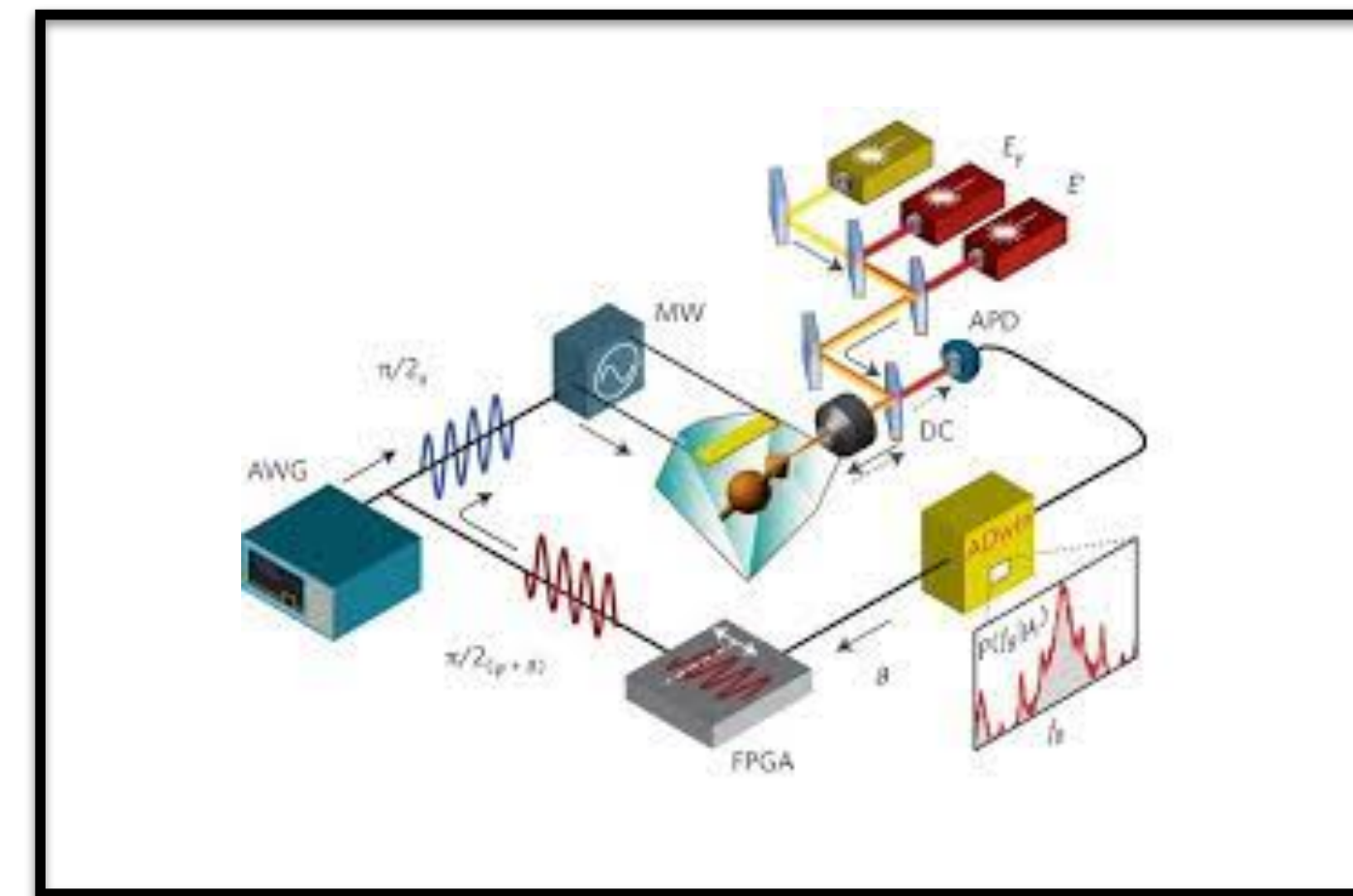
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Detect Using suitable Resonator



Outline

1. Photon Polarization Search

2. Axion Dark Matter with Nonlinear
Optics

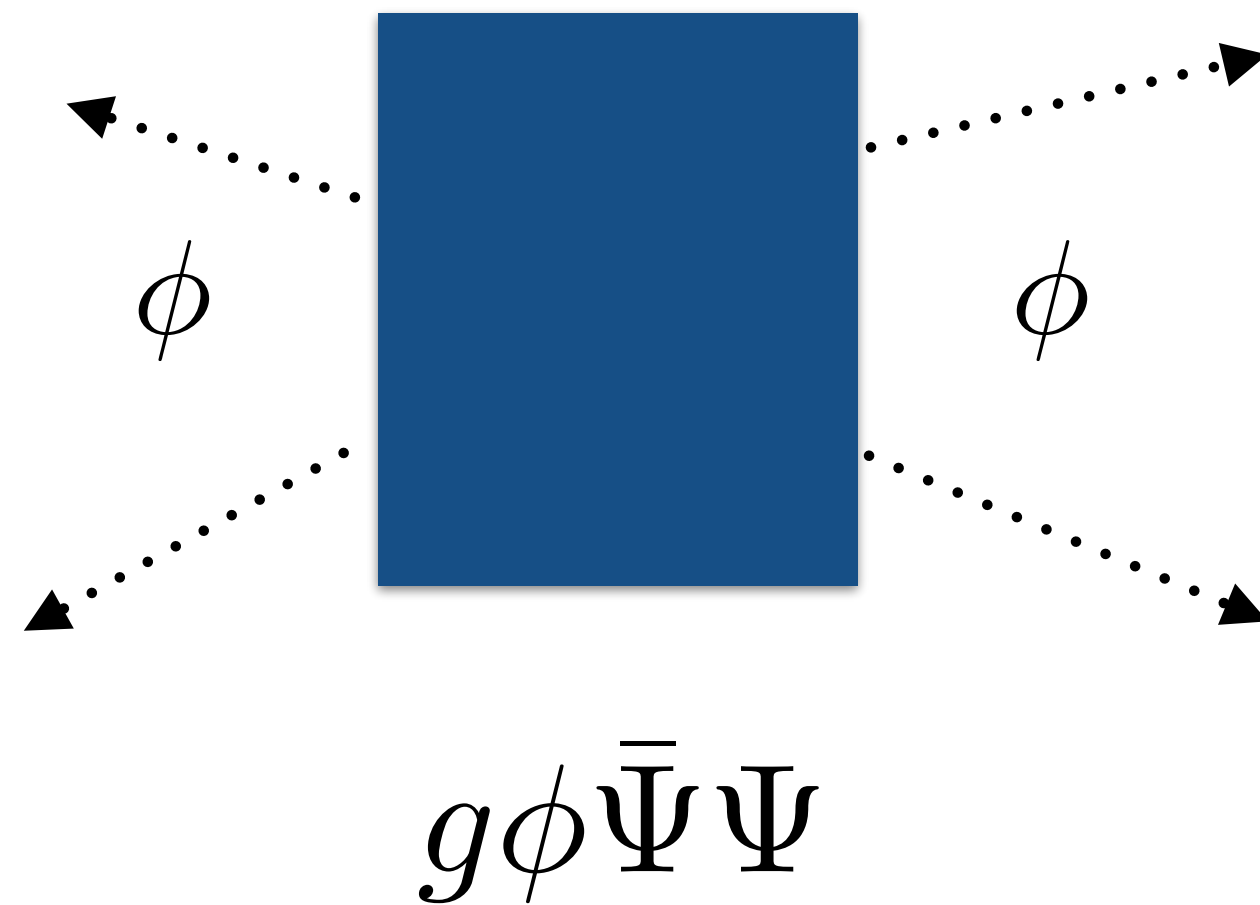
3. Conclusions

Photon Polarization Search

(MAGPI)

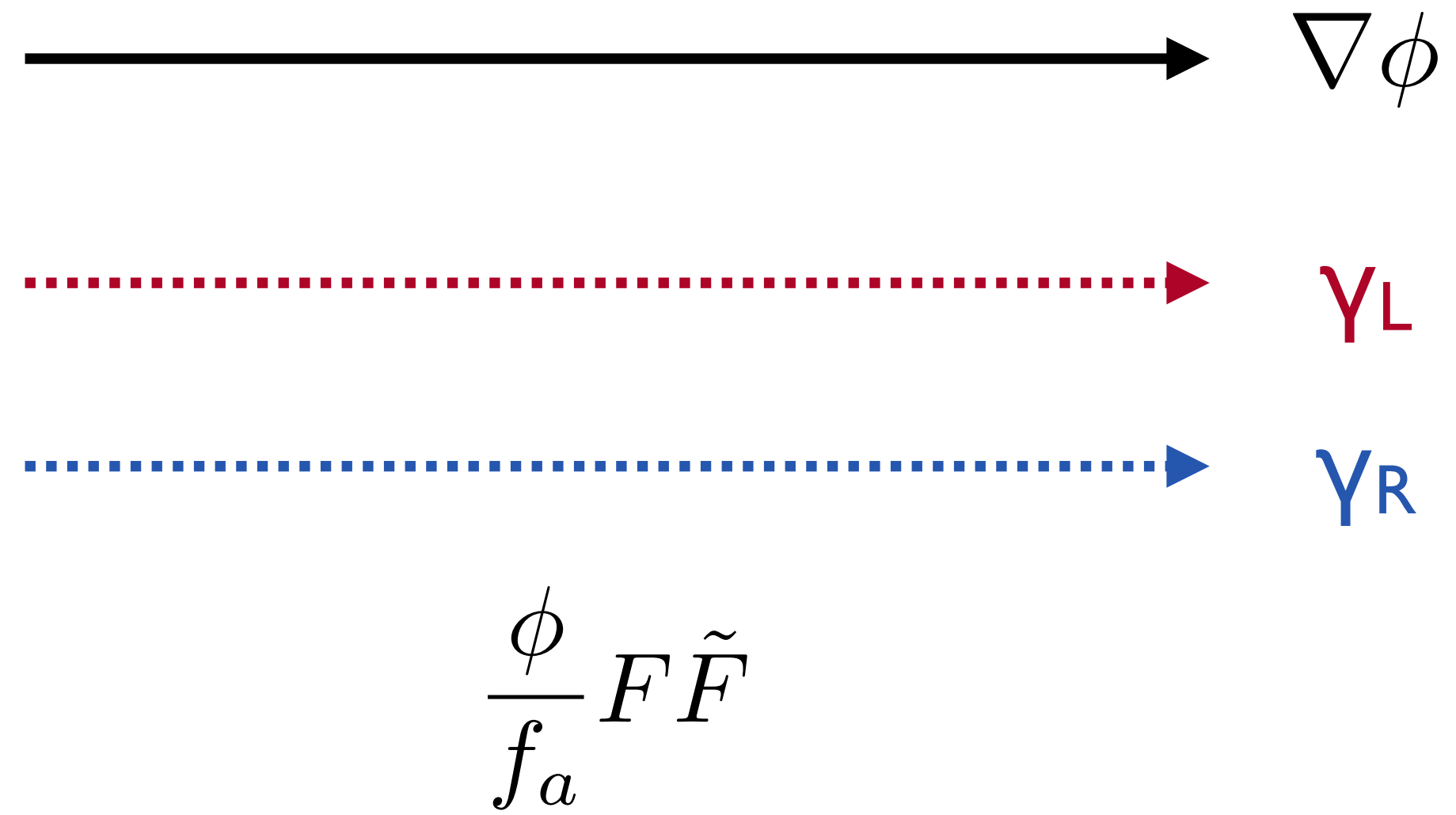
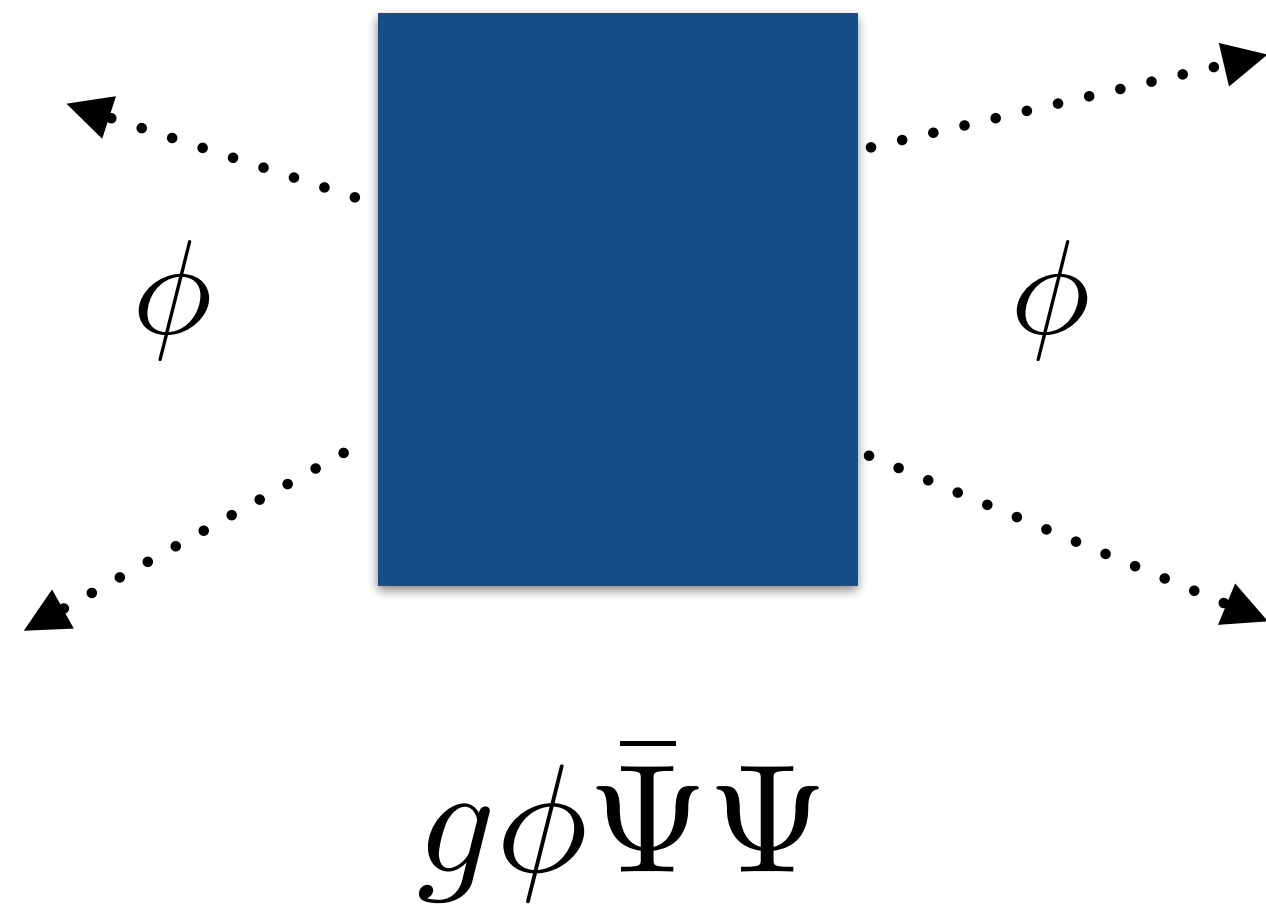
With Michael Fedderke, David Kaplan + SQMS
Collaboration at Fermilab

Photon Polarization Search



$$\longrightarrow \nabla \phi$$

Photon Polarization Search



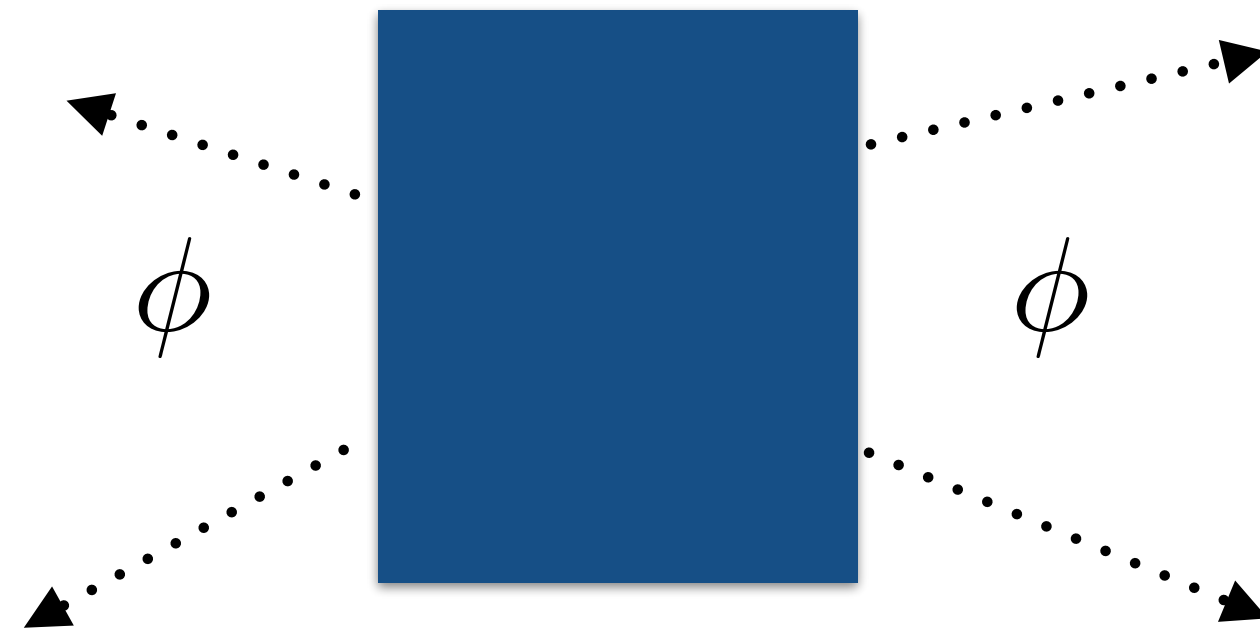
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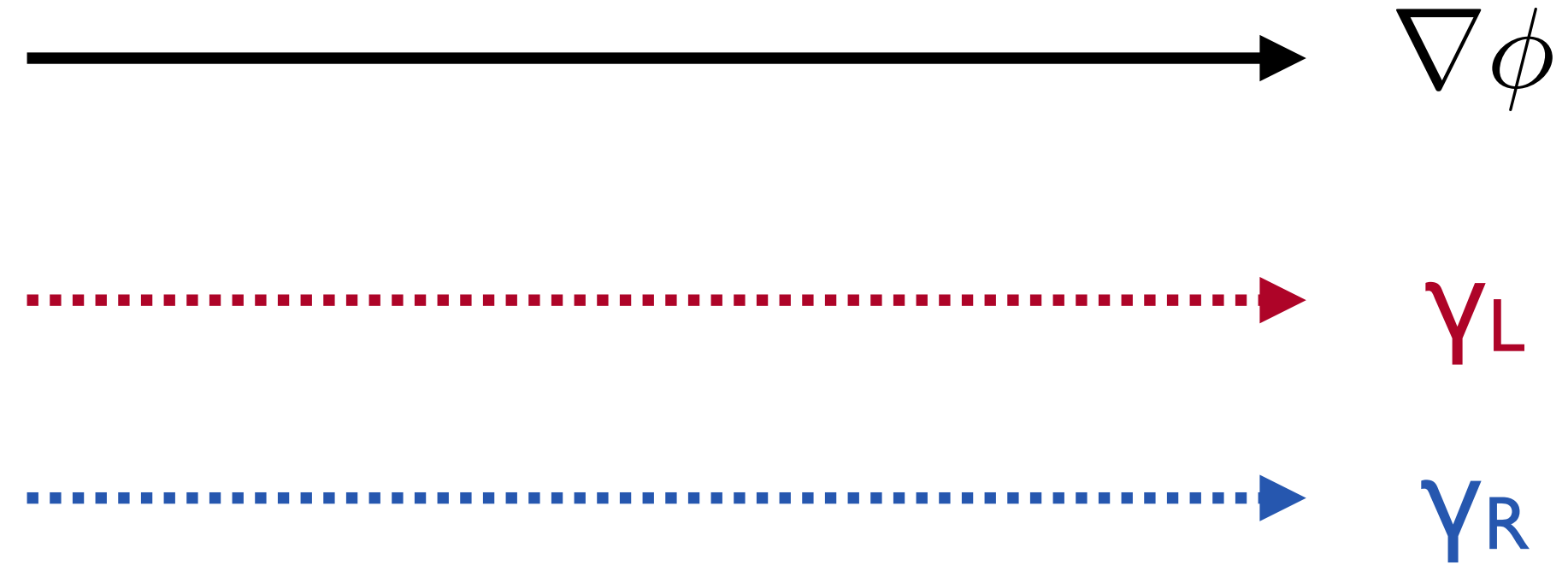
$$\delta k = k_L - k_R = \frac{\nabla\phi}{f_a}$$

Frequency Independent

Photon Polarization Search



$$g\phi\bar{\Psi}\Psi$$



$$\frac{\phi}{f_a} F \tilde{F}$$

$$\delta k = k_L - k_R = \frac{\nabla \phi}{f_a}$$

Frequency Independent

Measure Interferometrically

$$\delta \phi = \delta k L$$

Setup

$$\delta k = k_L - k_R = \frac{\nabla \phi}{f_a}$$

$$\delta \phi = \delta k L$$

Want large L

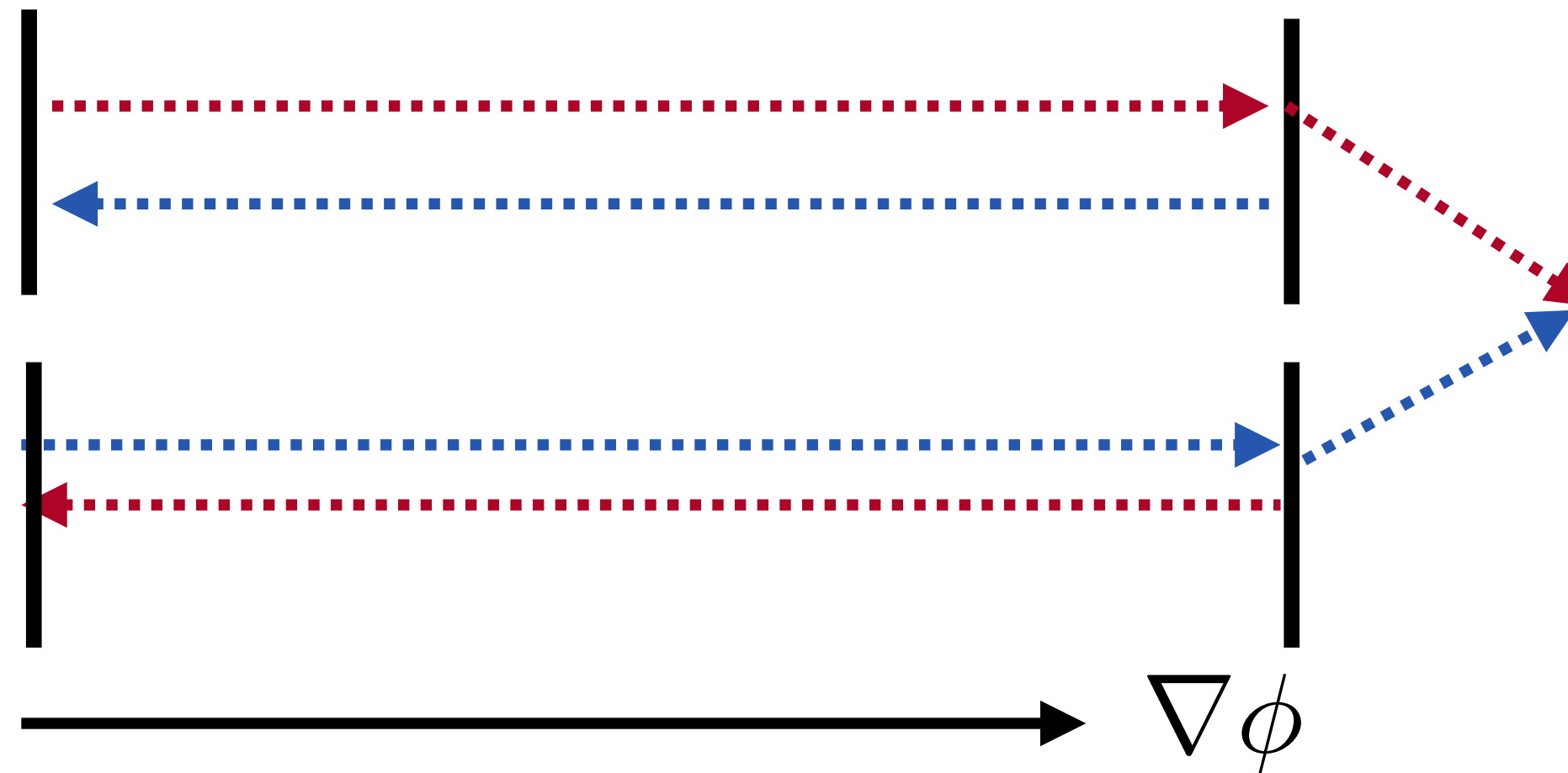
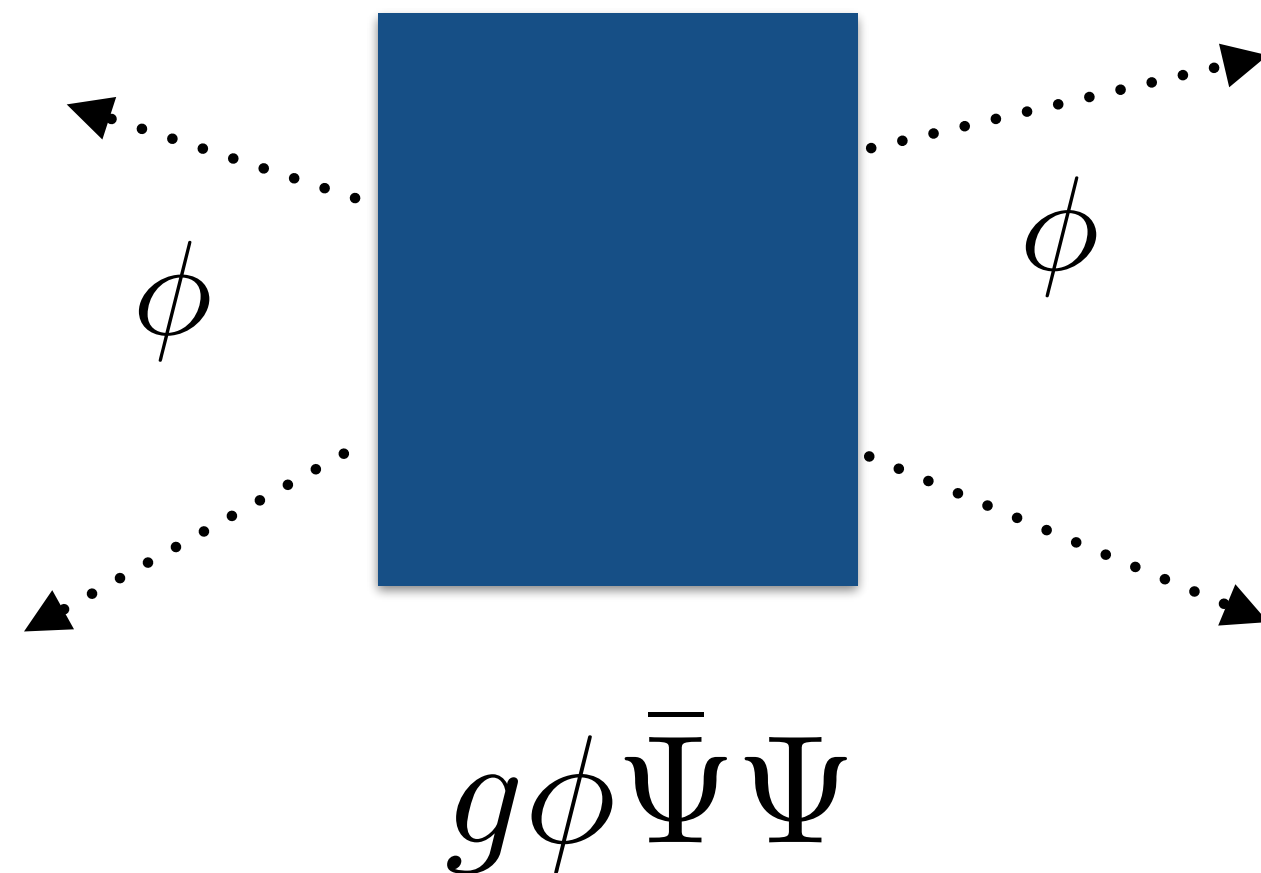
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Trap light in Fabry Perot cavity, compare phase shift
between left and right circularly polarized light



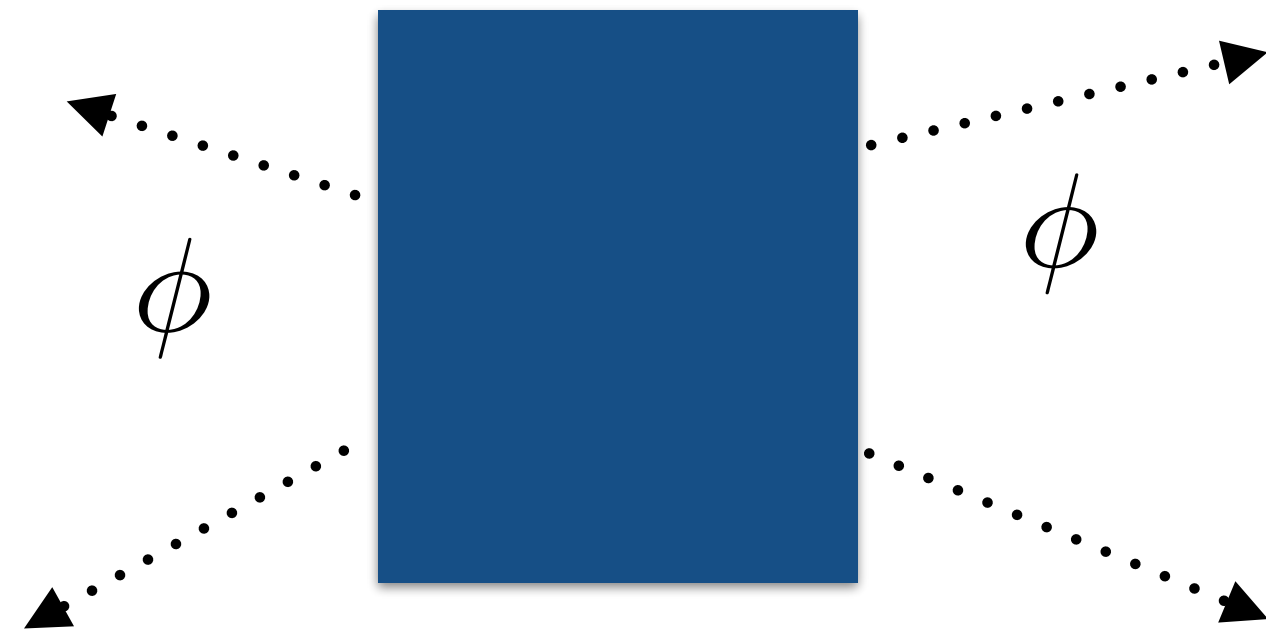
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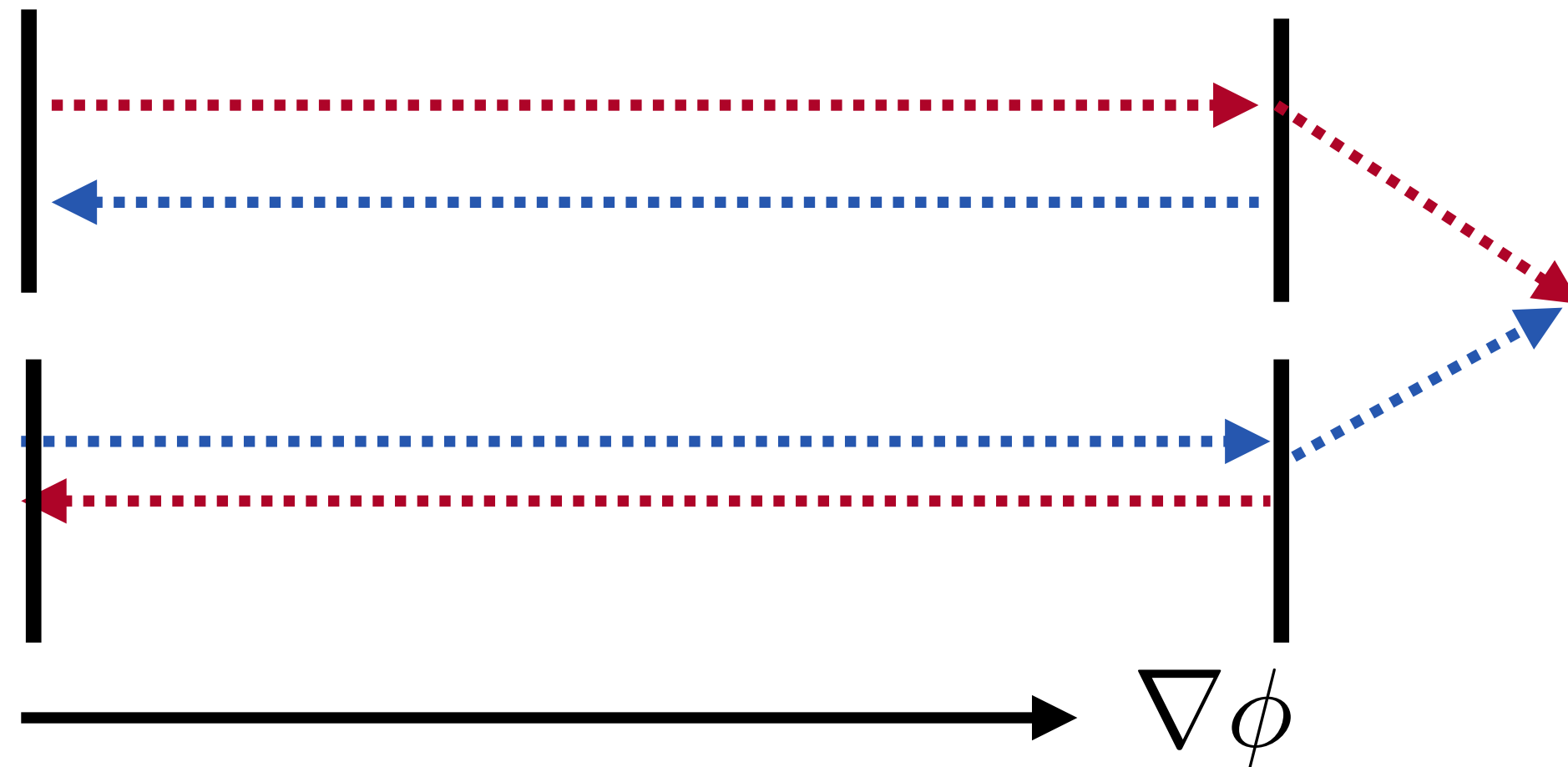
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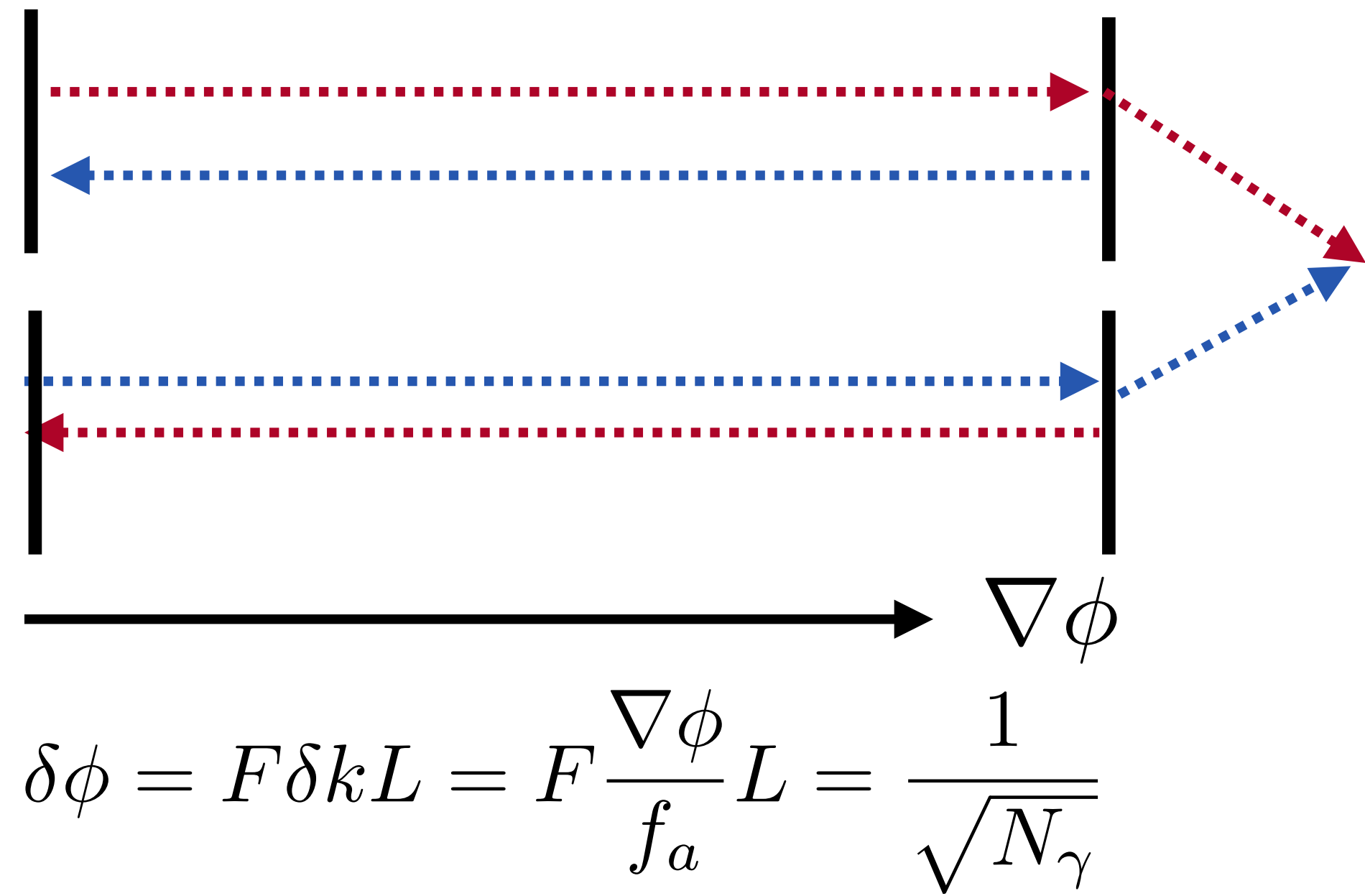
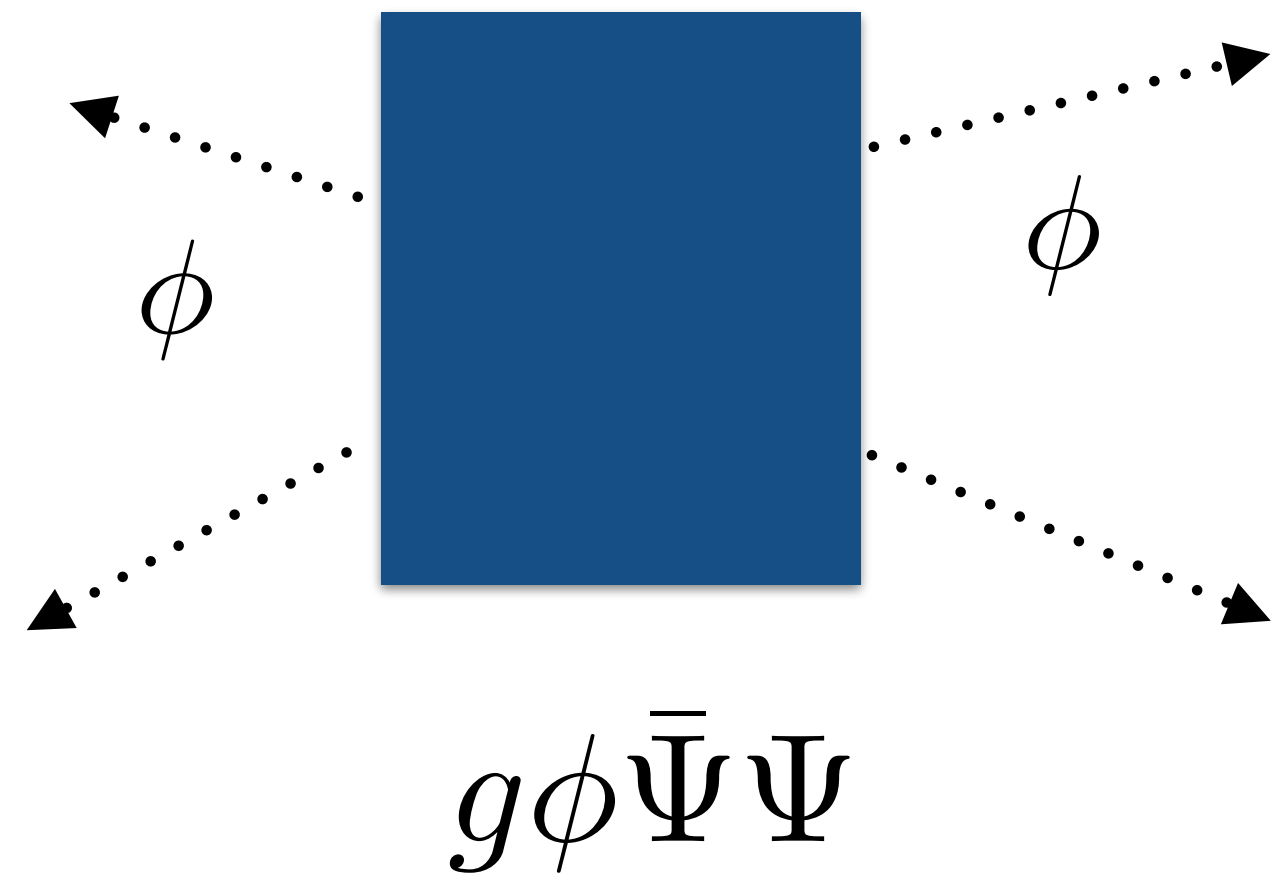


$$g\phi\bar{\Psi}\Psi$$

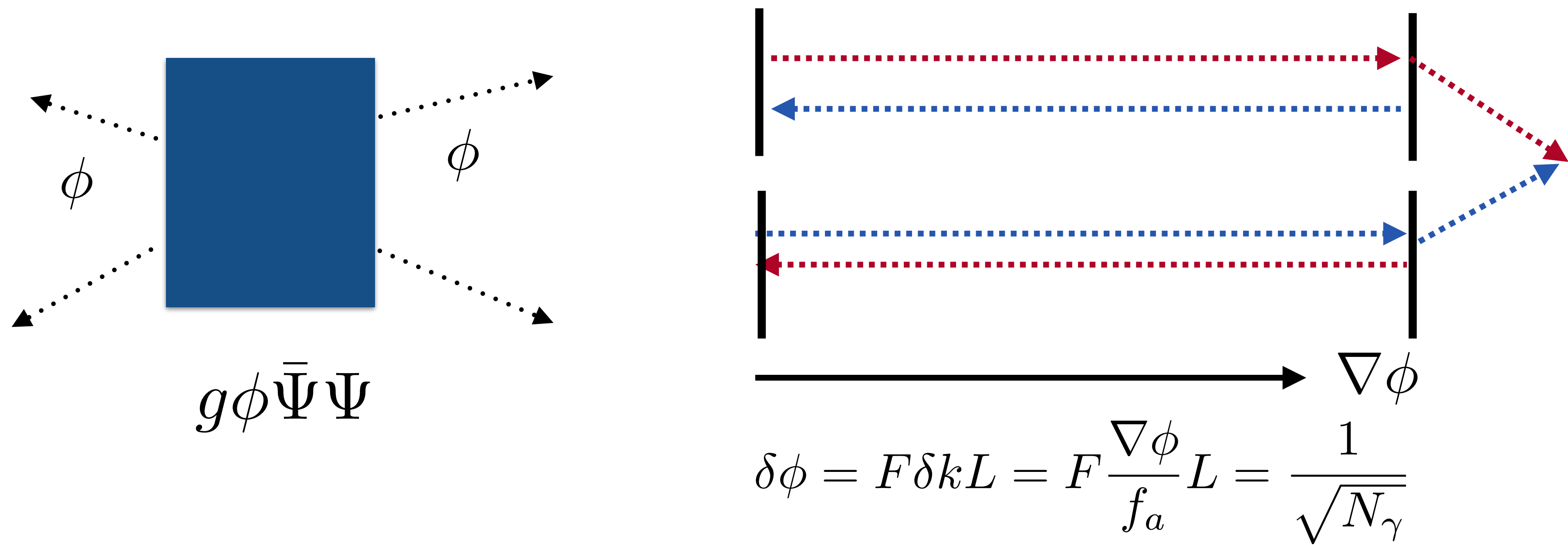


$$\delta \phi = F \delta k L = F \frac{\nabla \phi}{f_a} L = \frac{1}{\sqrt{N_\gamma}}$$

Experimental Realization

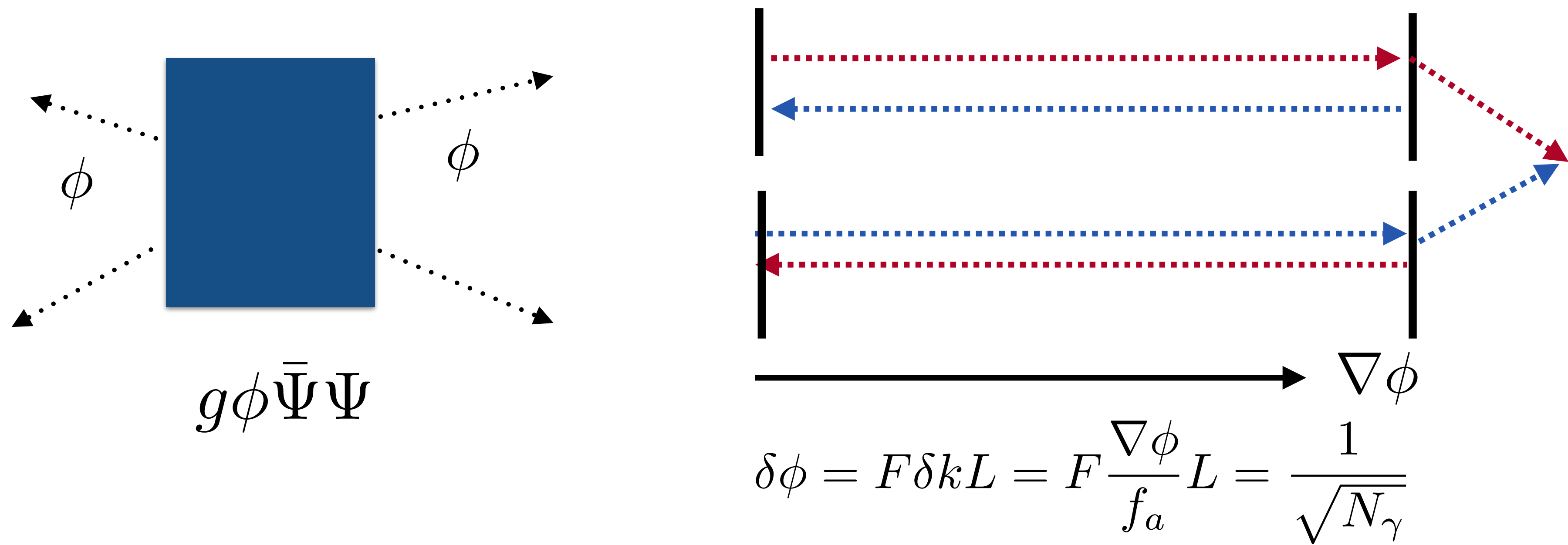


Experimental Realization



Independent of frequency - can realize in optical or superconducting RF

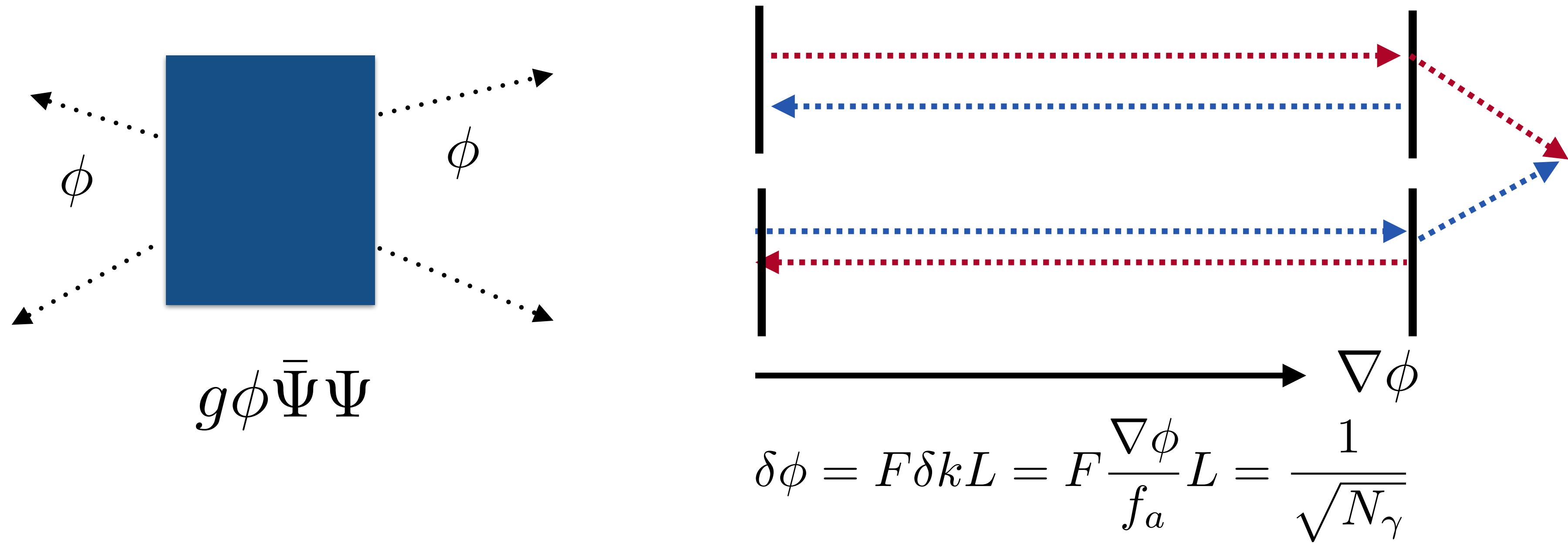
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Optical: Smaller mirrors, lower F

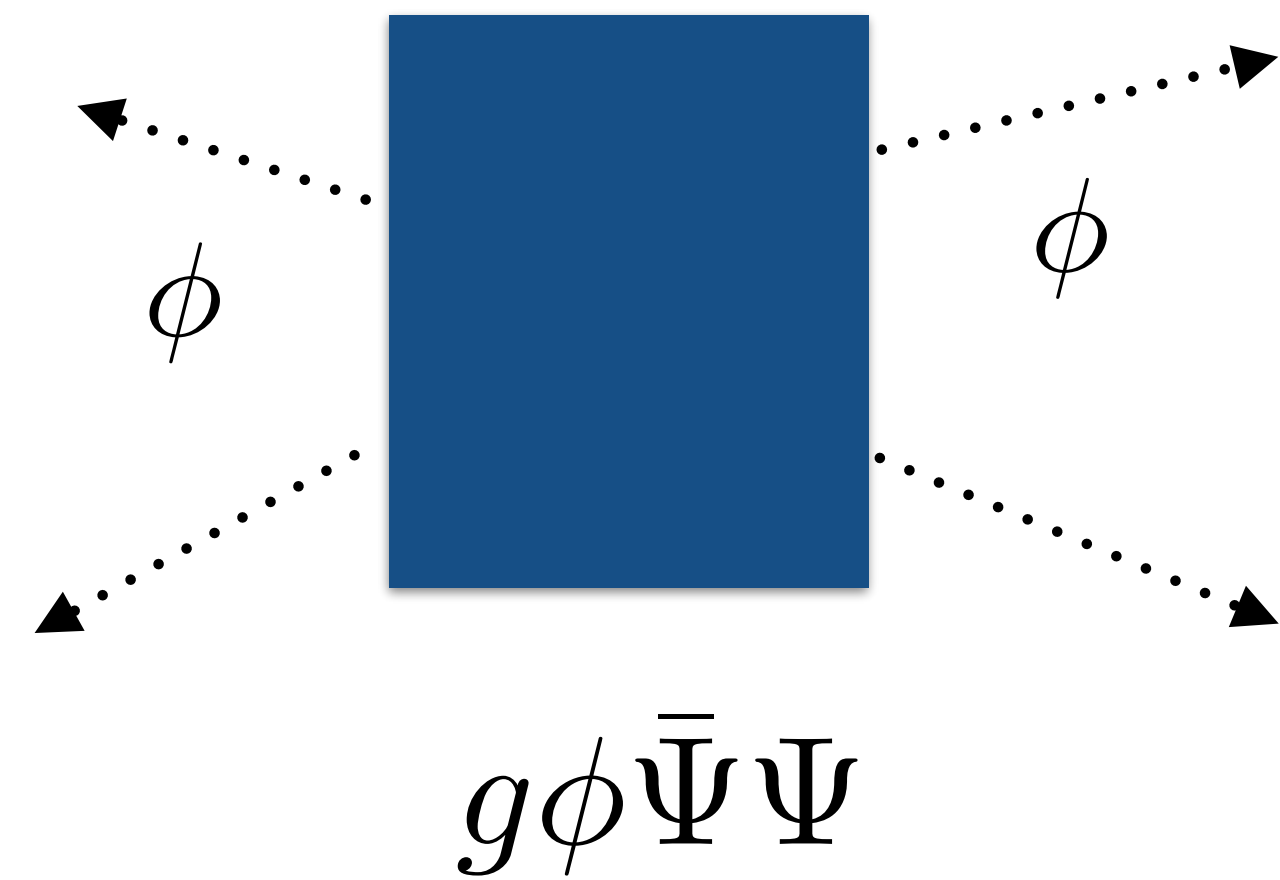
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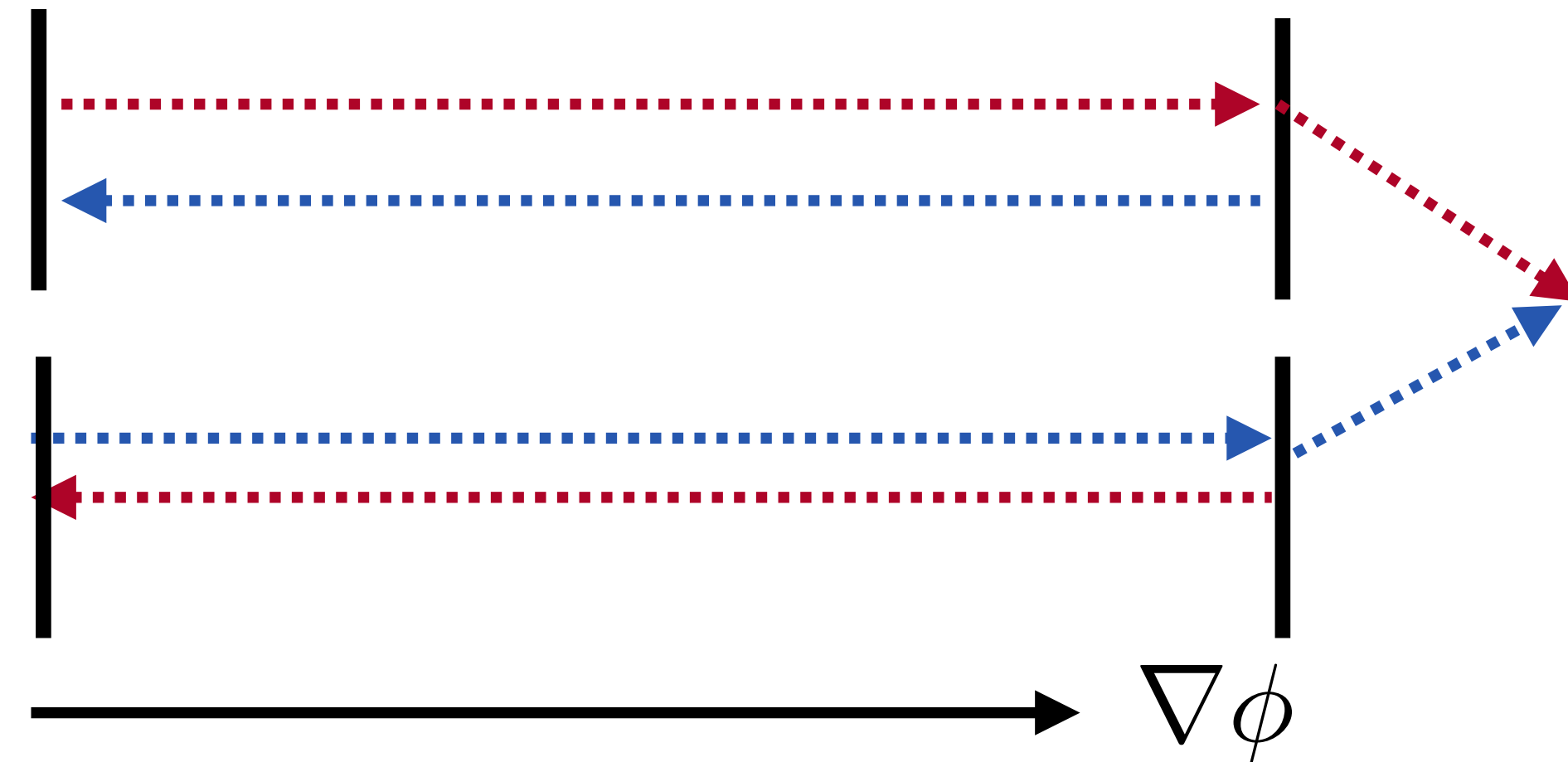
Independent of frequency - can realize in optical or superconducting RF

Optical: Smaller mirrors, lower F

RF: Large mirrors, high F



Systematics

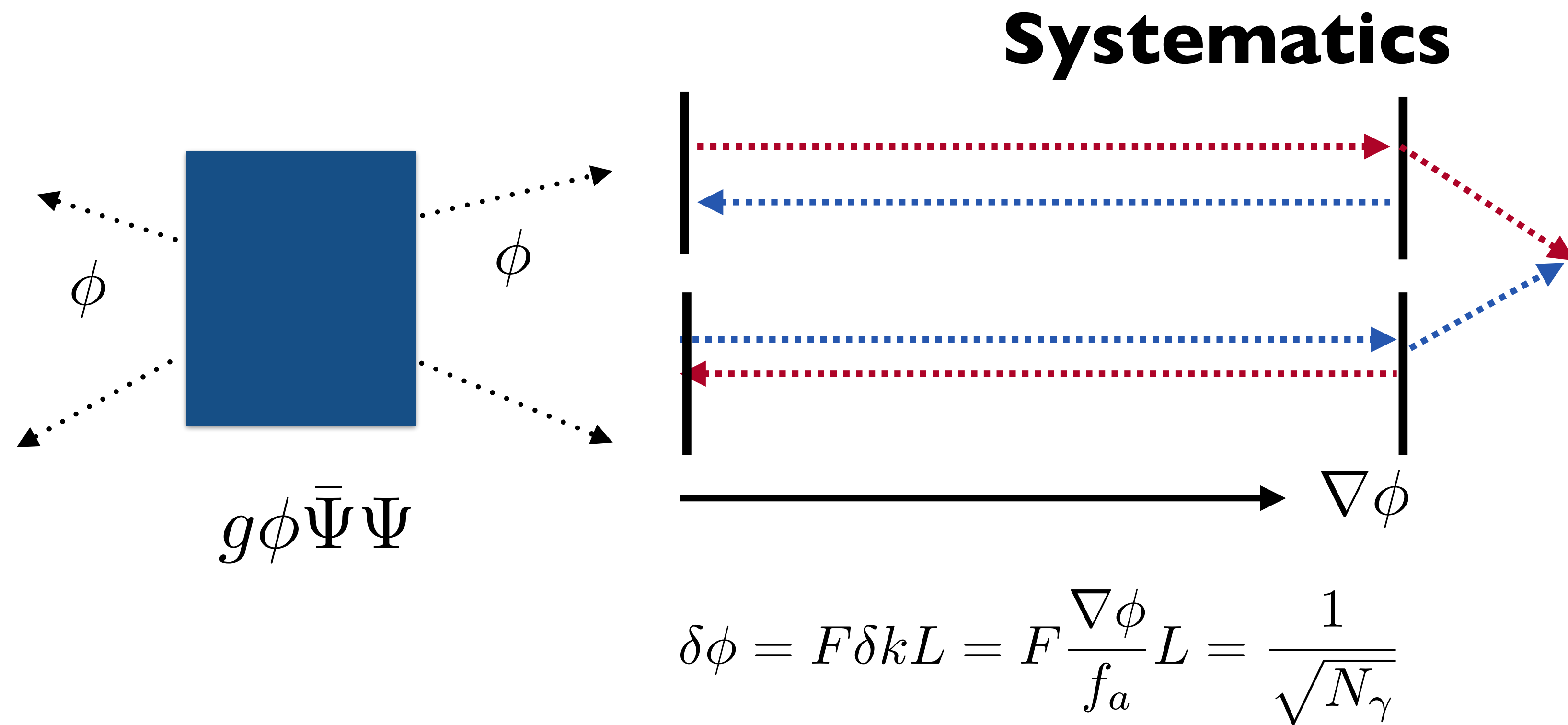


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Issues

Cavity Length Fluctuations -
phase shift depends on
frequency

Strain in mirror induces phase -
scales with F but not L



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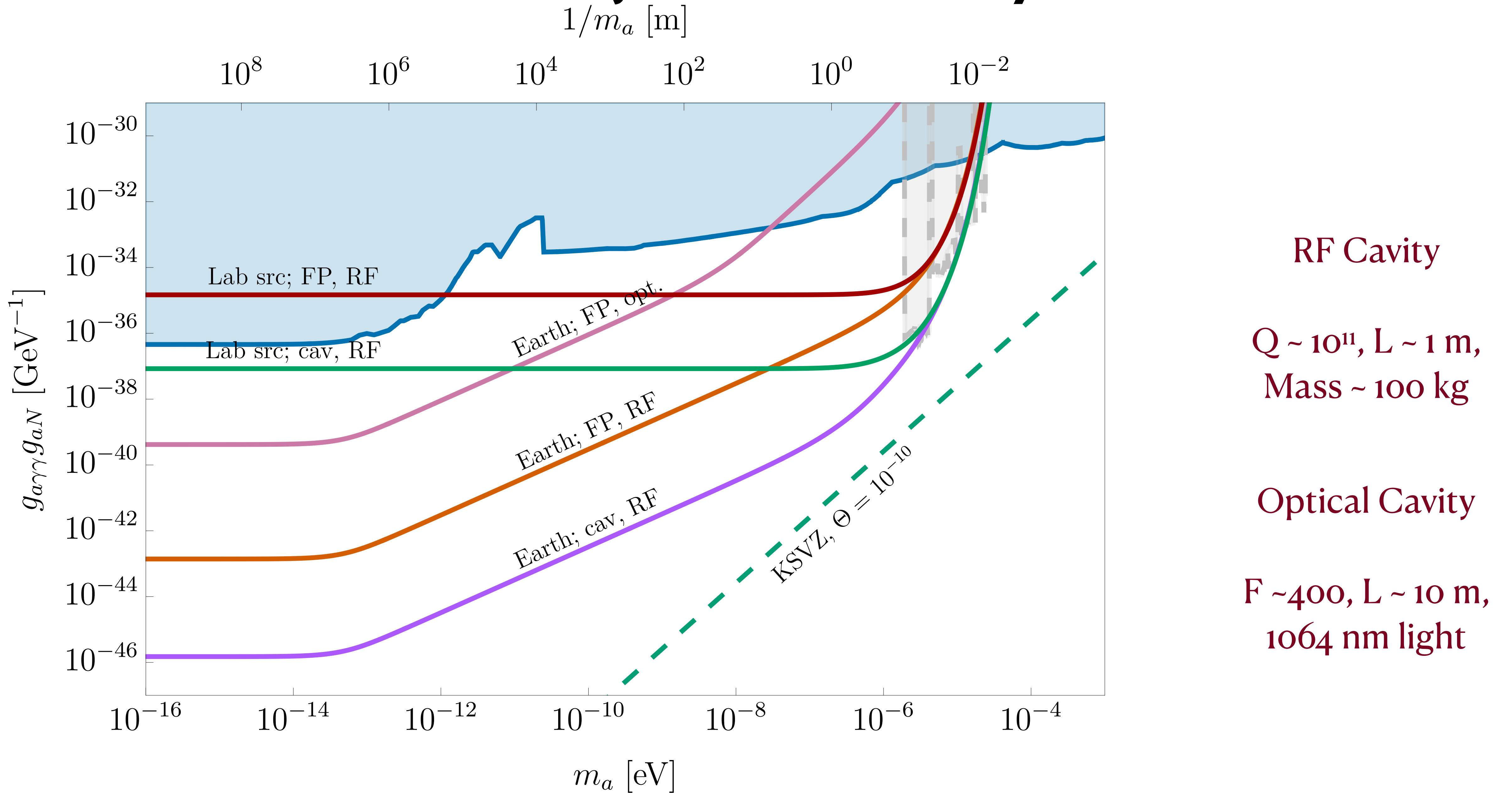
Handles

Use two different frequencies - differential measurement retains signal

Modulate L, but fix F - mirror strain remains same, signal changes

Modulate orientation relative to source or distance

Projected Sensitivity



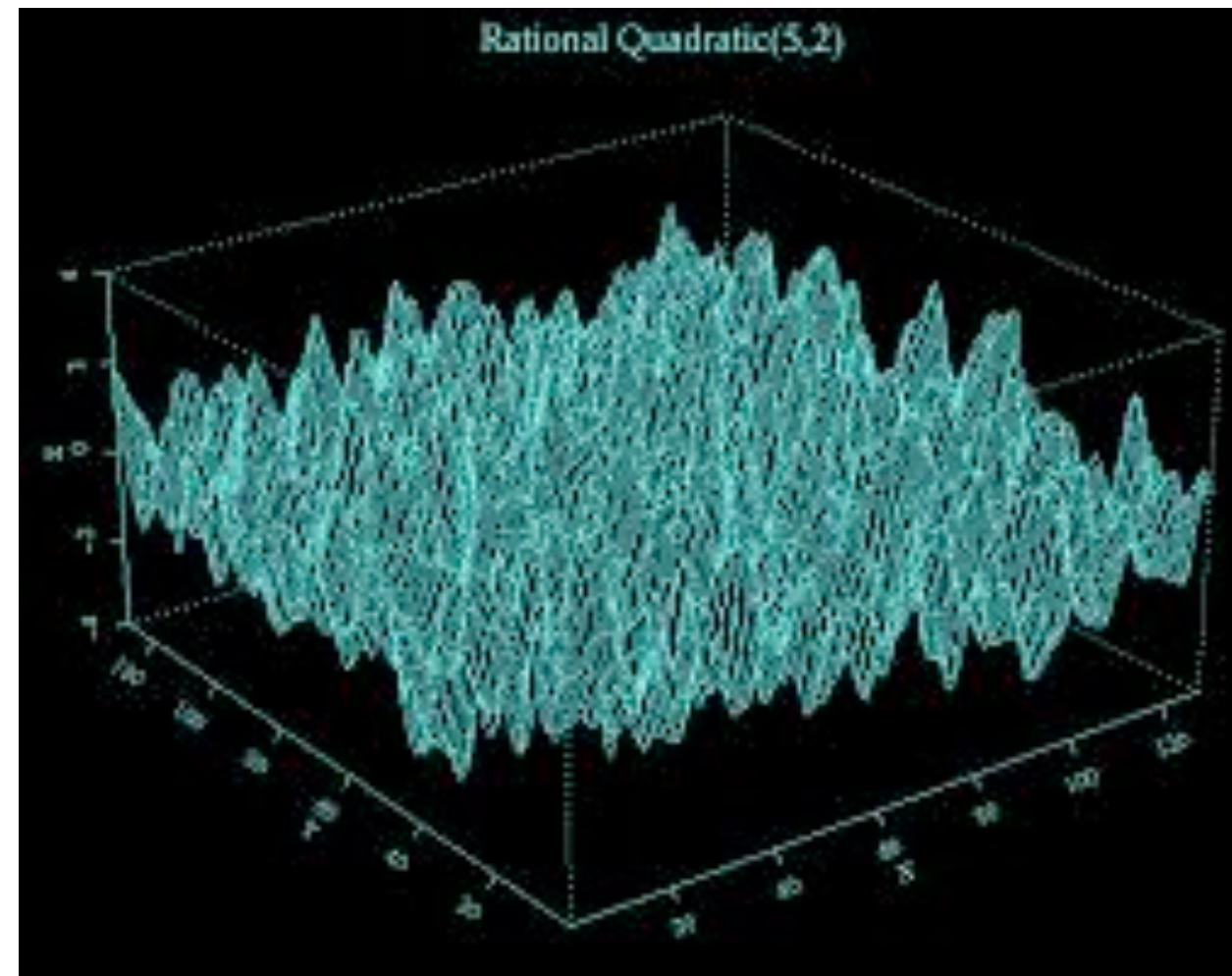
Axion Dark Matter with Non-Linear Optics

(GALILEO)

With Reza Ebadi, David Kaplan and Ron Walsworth

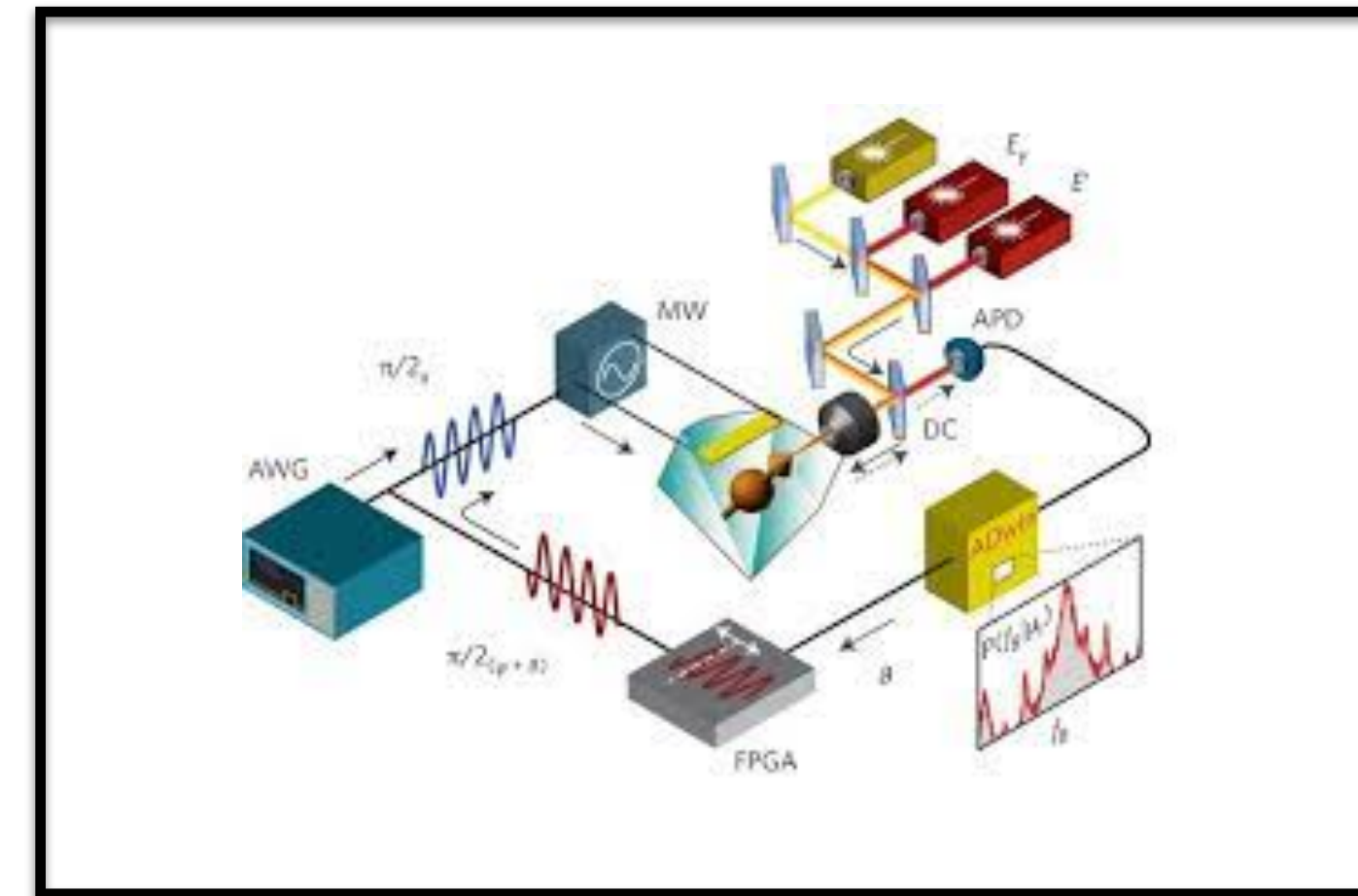
The Axion Landscape

Cosmological Source



Axion Dark Matter

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($Q \sim 10^6$)



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nHz

kHz

MHz

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10 GHz

CASPEr

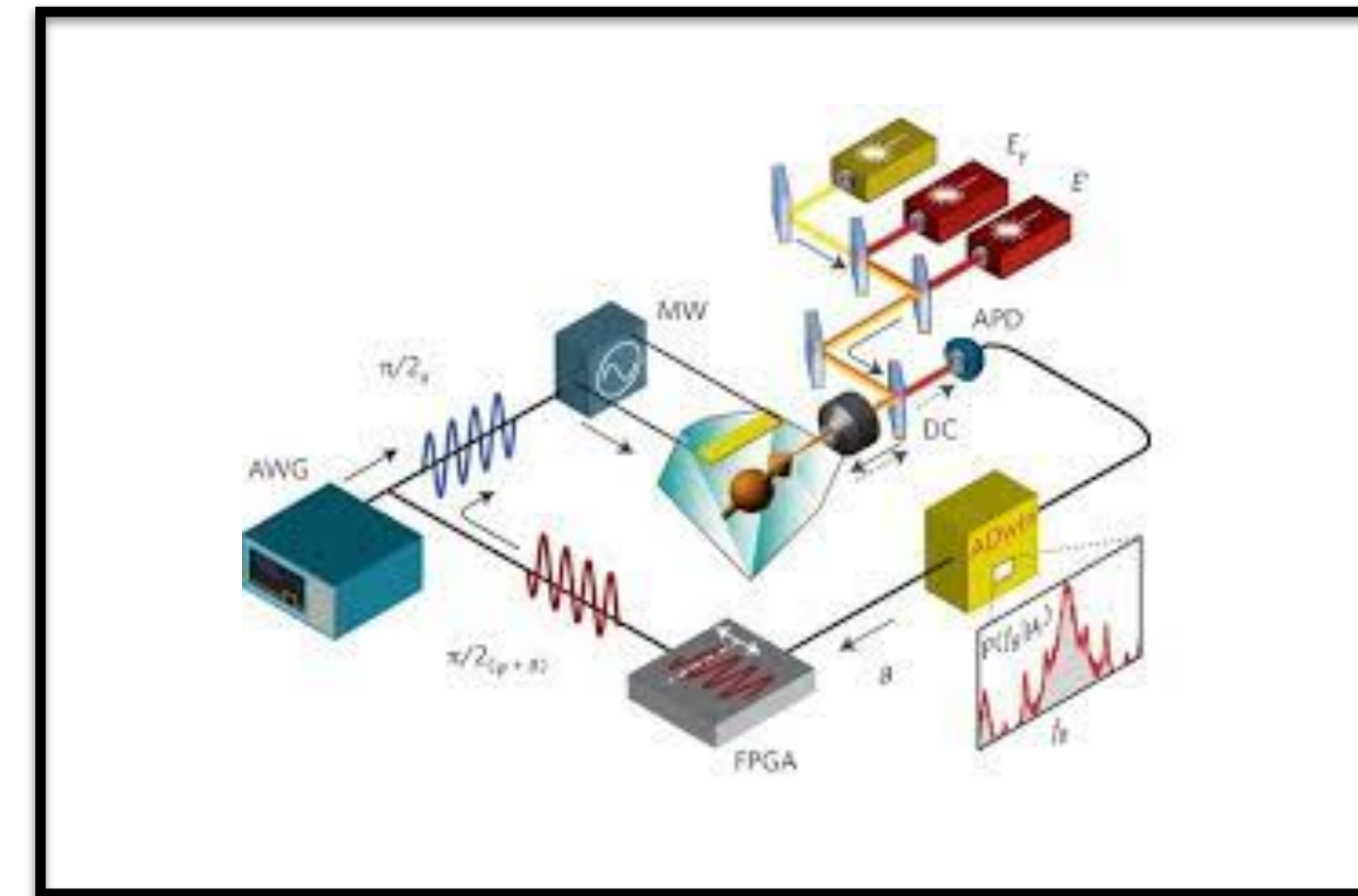
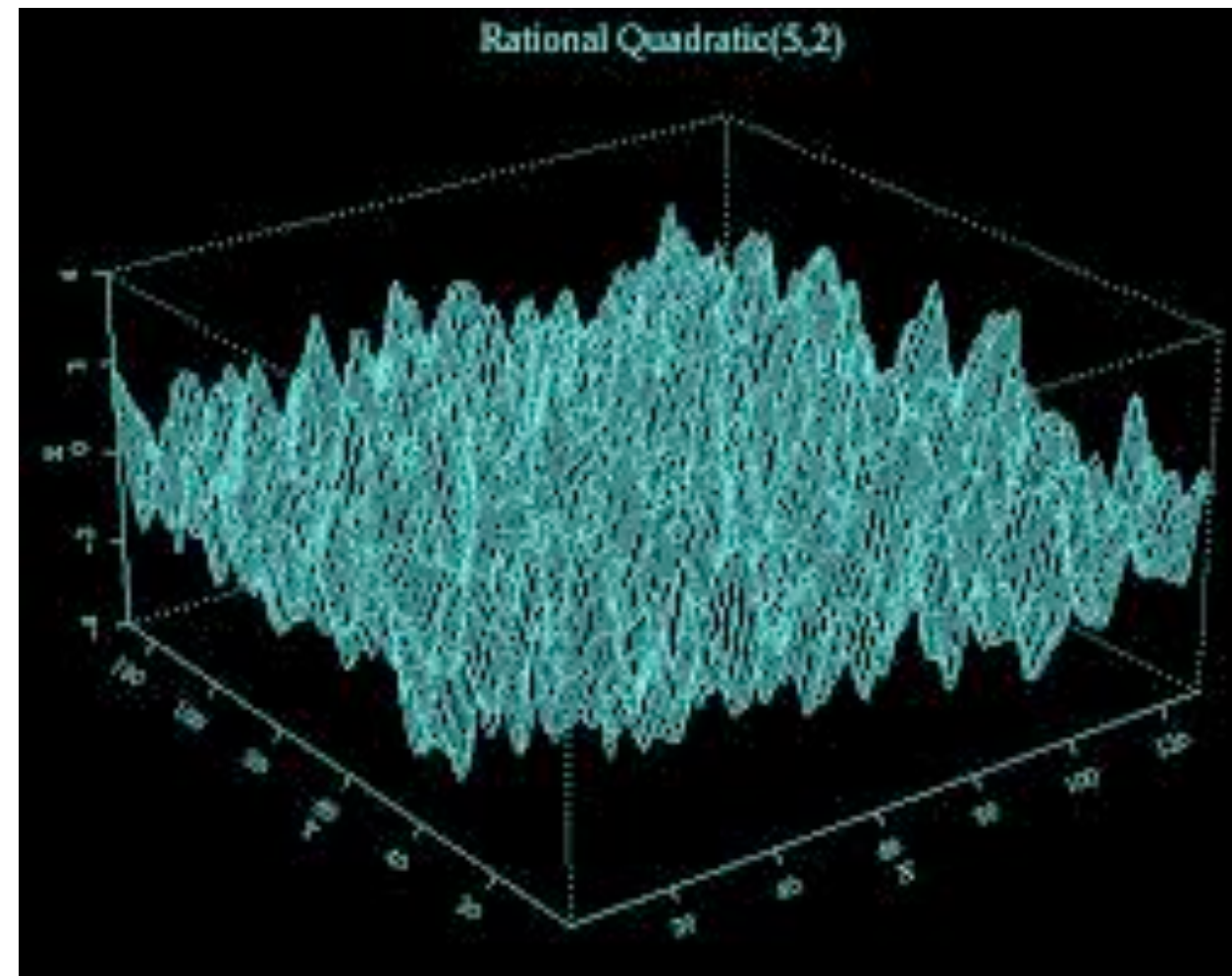
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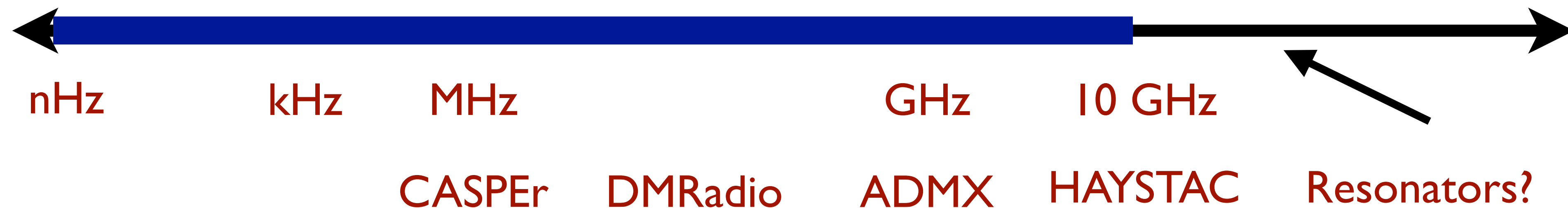
Cosmological Source



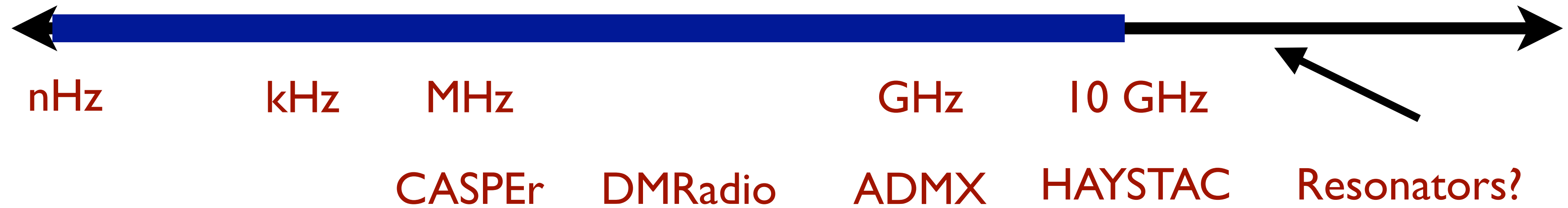
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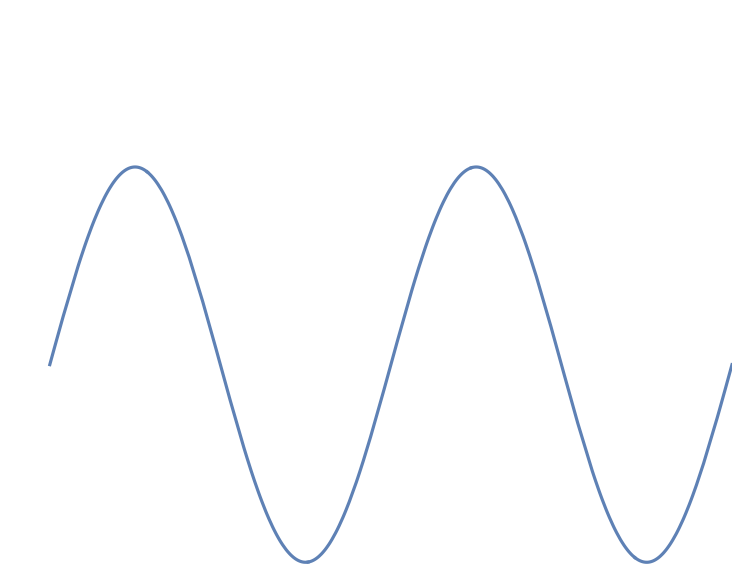
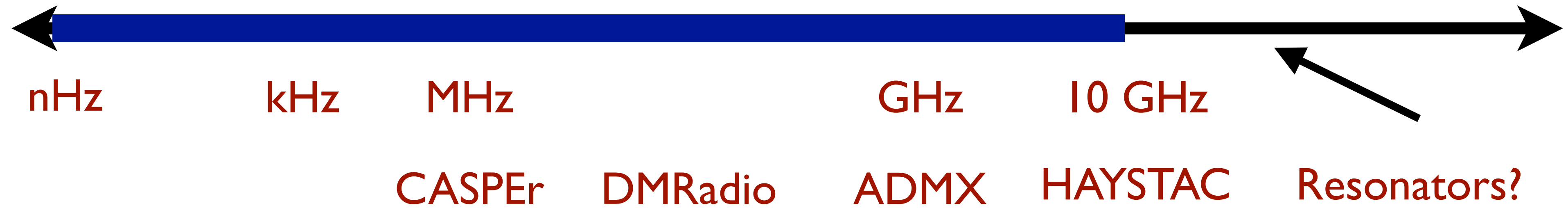
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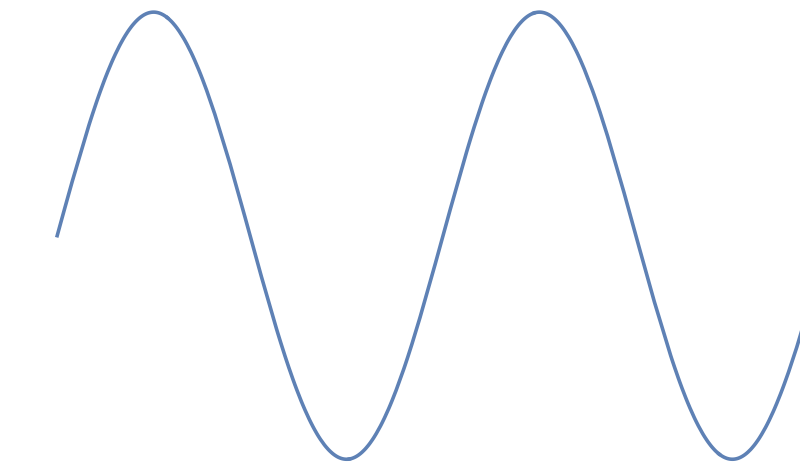
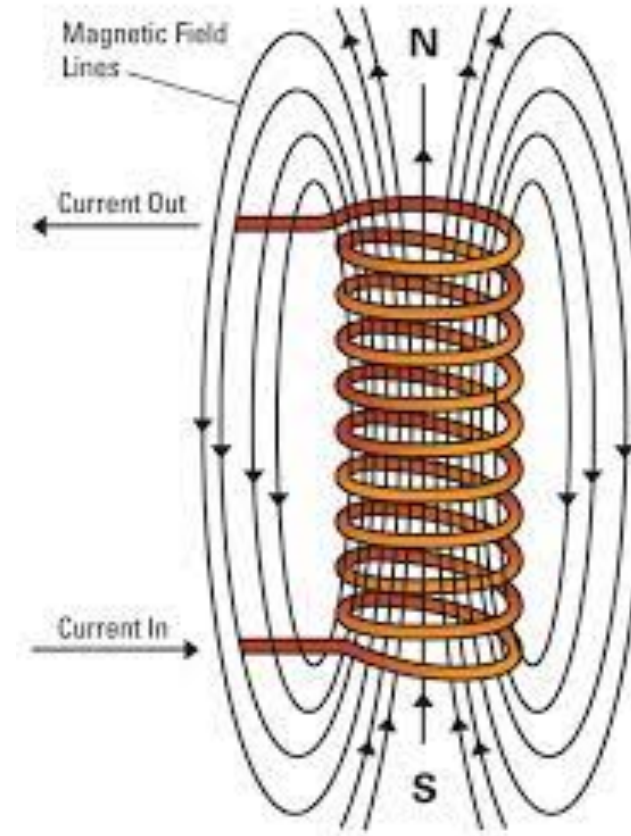
High Frequency Resonators



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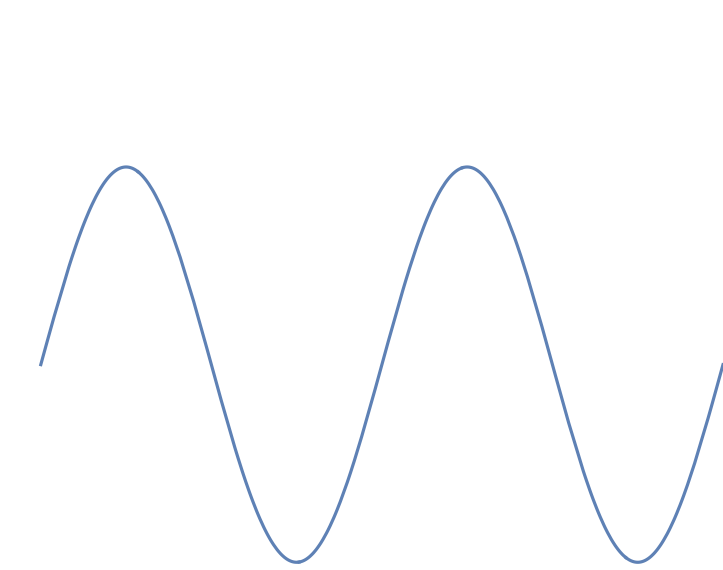


**oscillating axion
field**

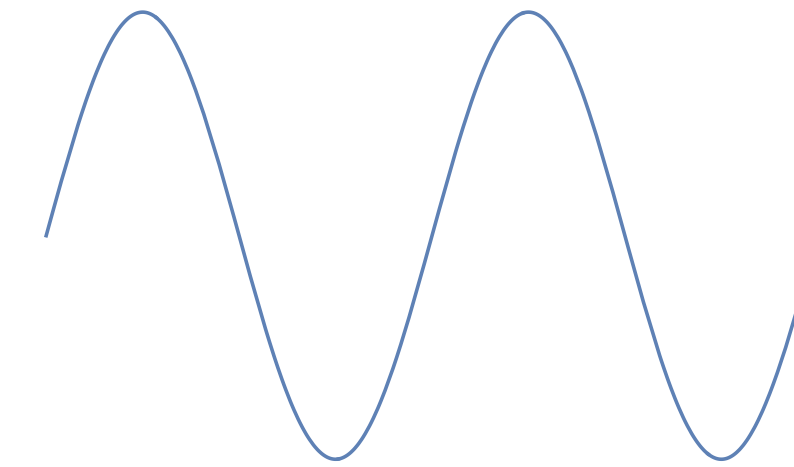
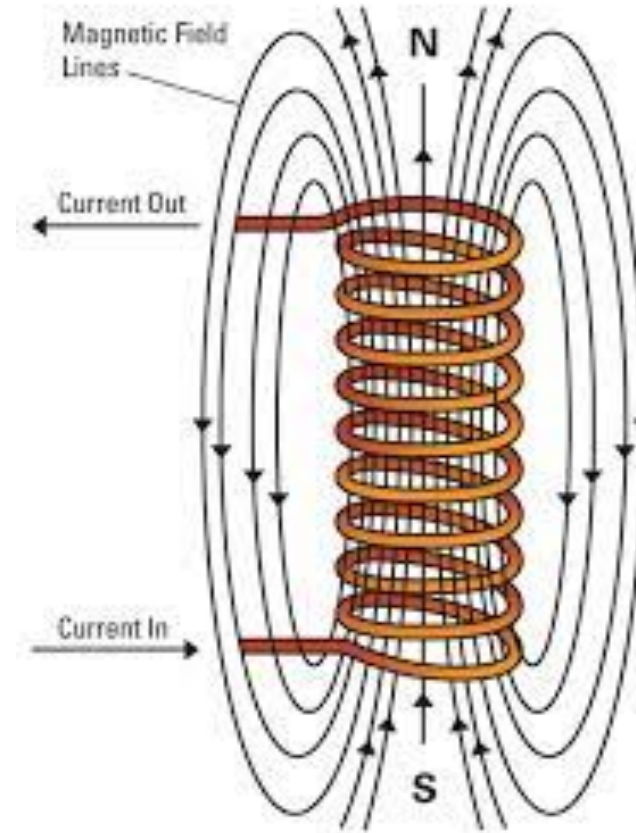


**oscillating electric
field**

High Frequency Resonators



**oscillating axion
field**

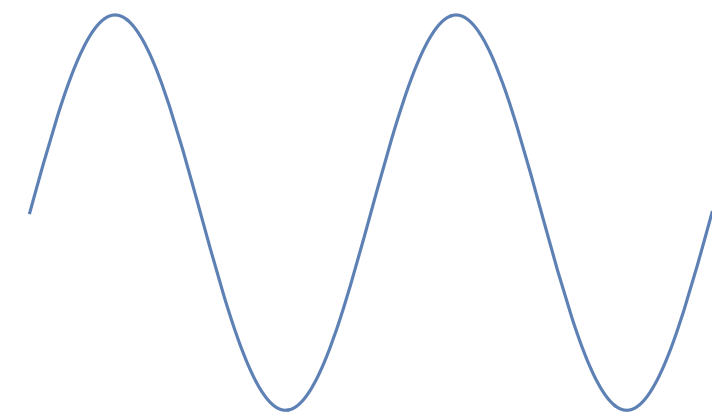


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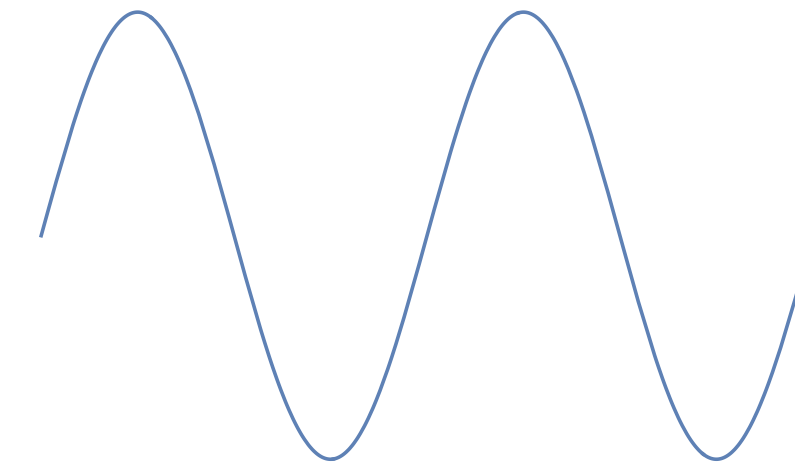
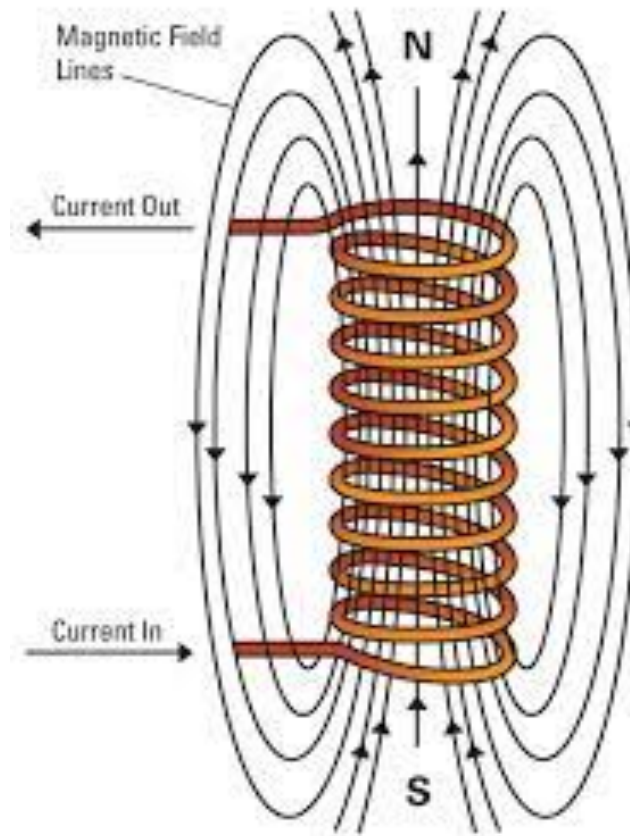
**oscillating E' field
(dark matter)**

**Charge sees small
oscillating electric
field**

High Frequency Resonators



**oscillating axion
field**



**oscillating electric
field**

**oscillating E' field
(dark matter)**

**Charge sees small
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Detect high frequency oscillating electric field

Nonlinear Optics

Detect high frequency oscillating electric field

Crystal with index of refraction with a linear dependence on electric field
(e.g. Lithium Niobate)

Create Optical Cavity with Lithium Niobate - choose length to set resonance frequency

Send light through optical resonator - measure phase shift

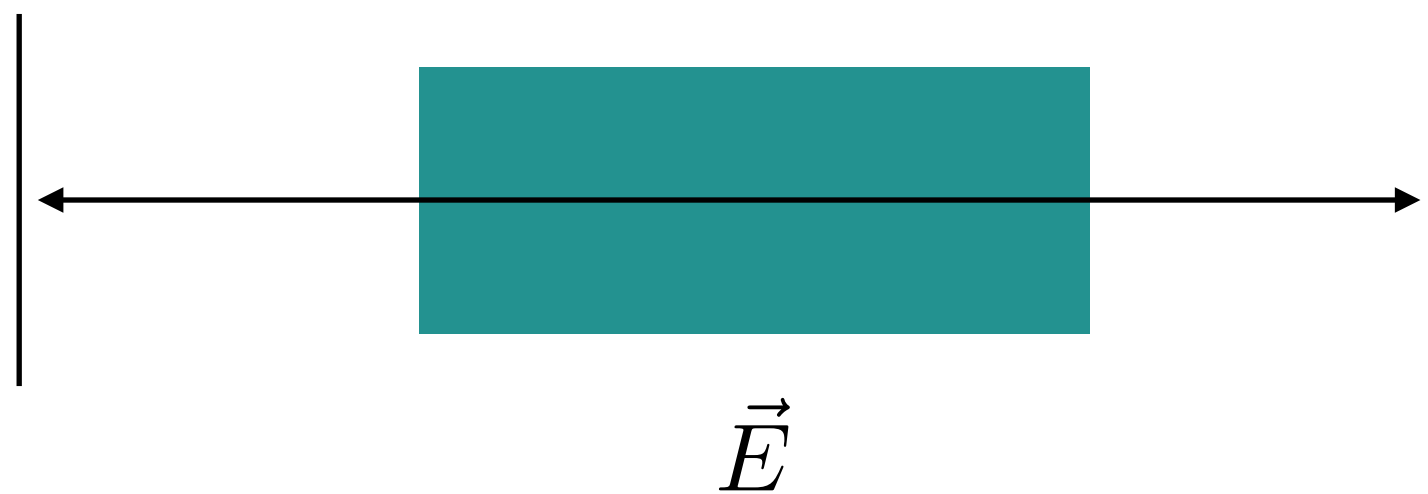
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measures time varying electric field

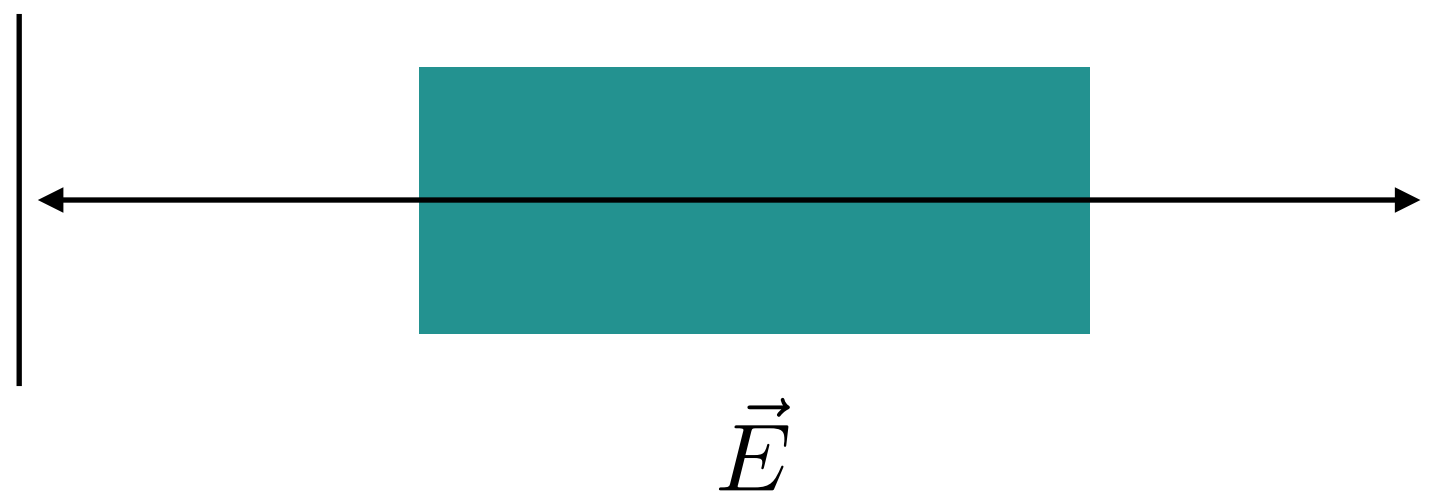
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Lowest frequency set by absorption length of light (\sim km)

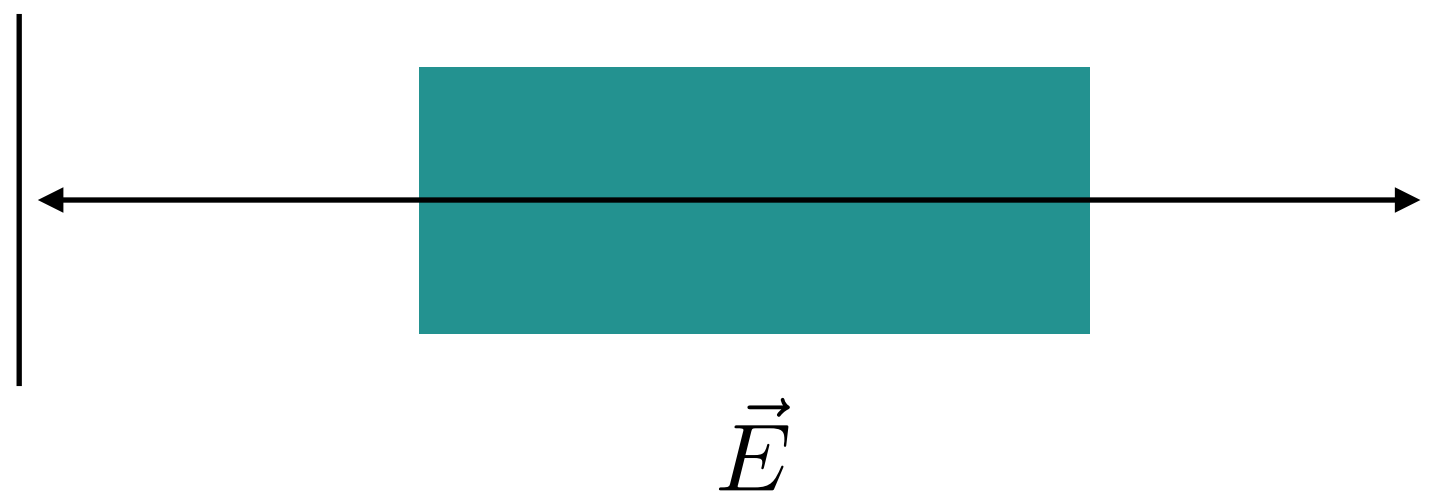
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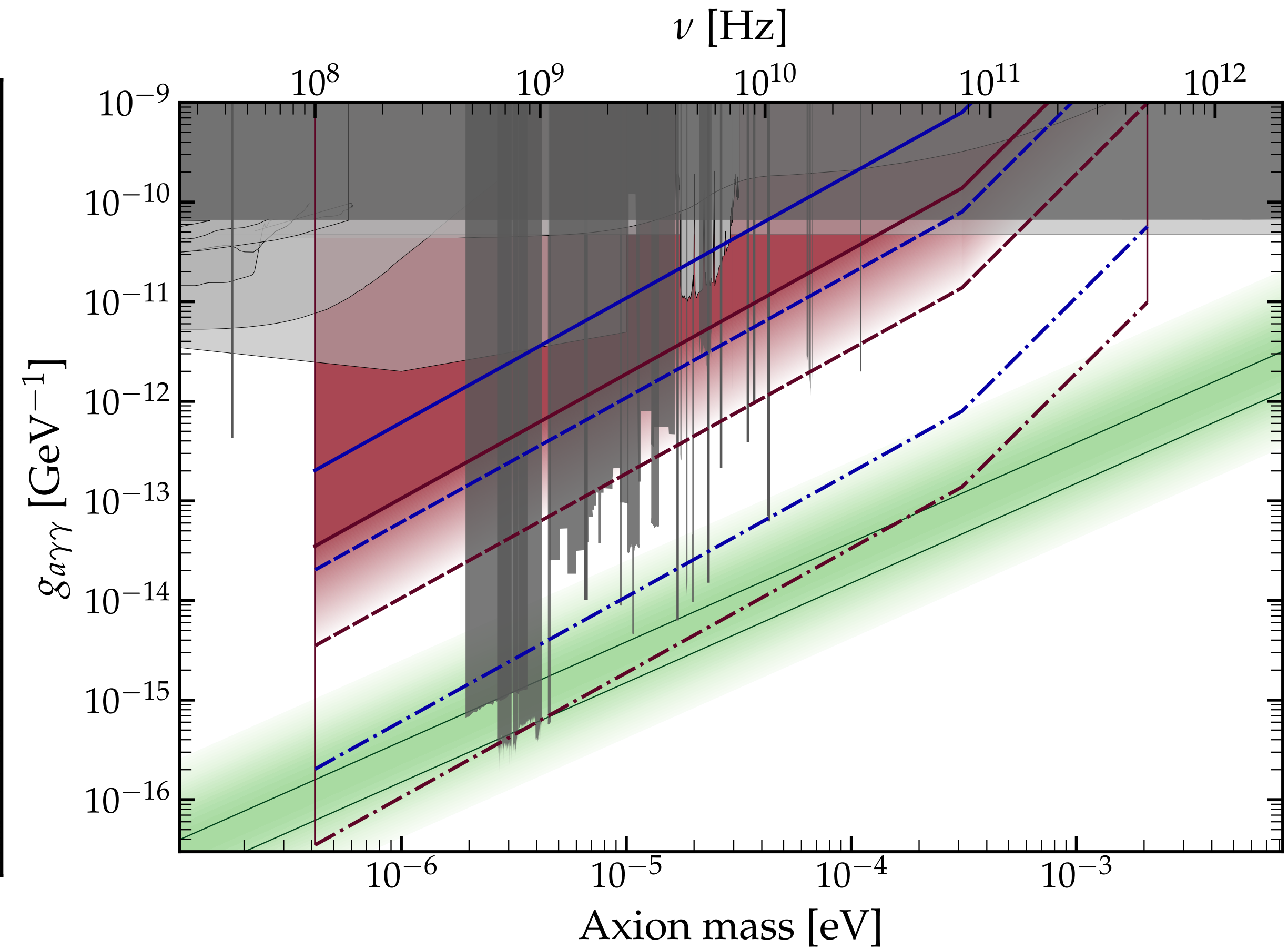
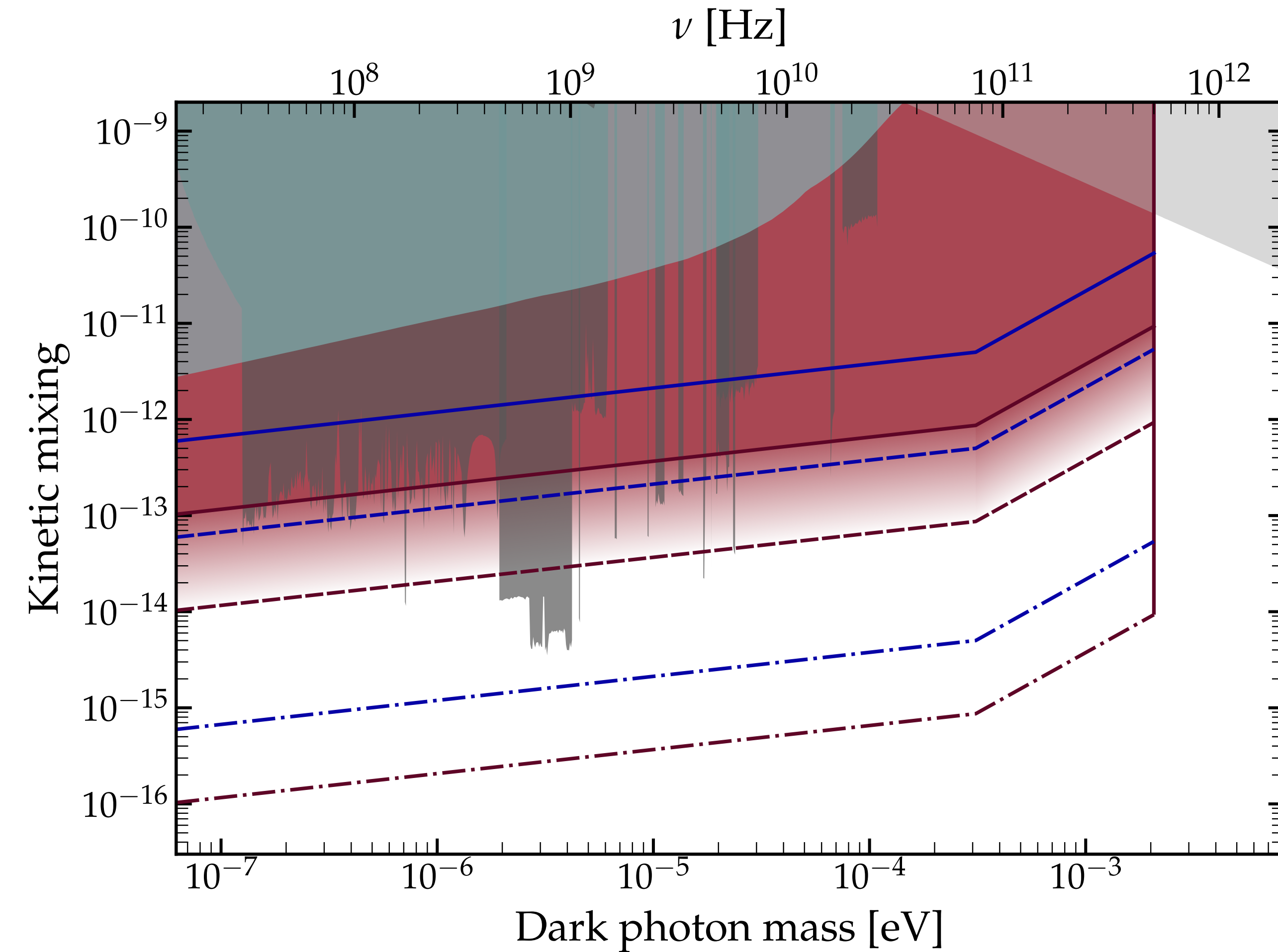


Phase shift depends on index of refraction -
measures time varying electric field

Lowest frequency set by absorption length of light (\sim km)

High frequency cut-off: Nyquist limit, response time of
crystal ($>$ THz)

Projected Sensitivity



Conservative Solid Lines: 1 s averaging
Super aggressive dot dashed: ~ 1 yr
averaging, 10 db Squeezing, 10 W

Conclusions

1. Important to search broad range of couplings and frequencies
2. Exciting opportunities in the RF for polarization searches
3. Exploit non-linear optics for high frequency resonators