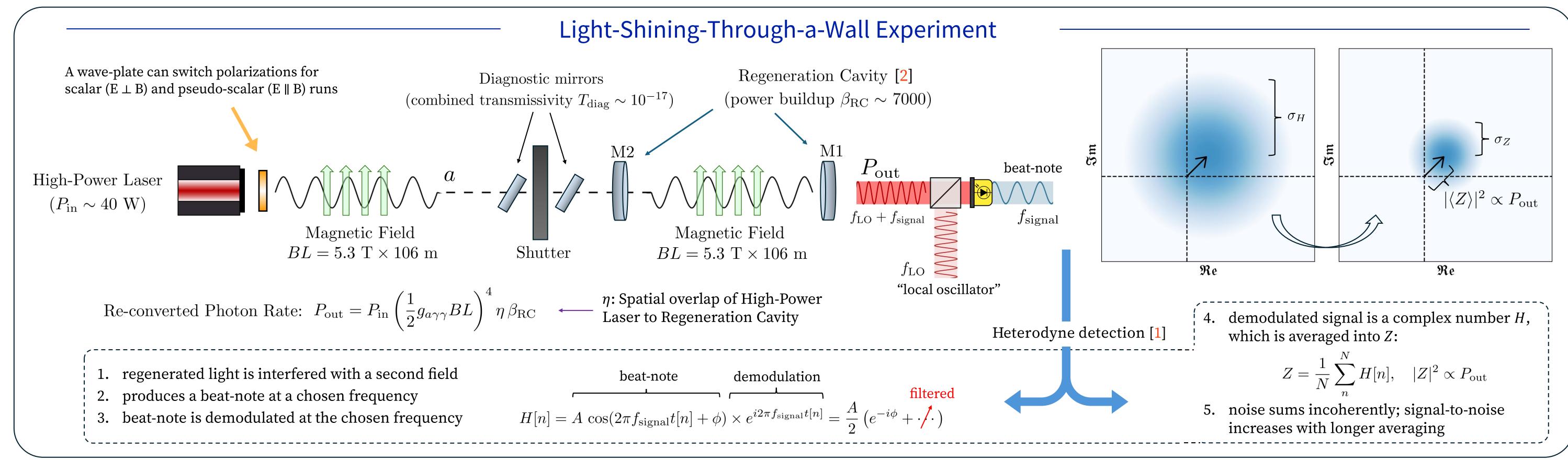
Data Analysis for ALPS II's Initial Science Campaign

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Calibration

- When shutter is closed: $P_{\mathrm{out}} = P_{\mathrm{in}} \left(\frac{1}{2} g_{a\gamma\gamma} B L \right)^4 \eta \, \beta_{\mathrm{RC}}$
- When shutter is open: $P_{\rm open} = P_{\rm in} \, T_{\rm diag} T_{\rm M2} \, \eta \, \beta_{\rm RC}$
- Ratio of closed to open gives $g_{a\gamma\gamma}$
 - Systematics varying with time are eliminated:
 - P_{in} , spatial overlap η , power buildup β , ...
 - T_{diag} and T_{M2} are static and easy to measure

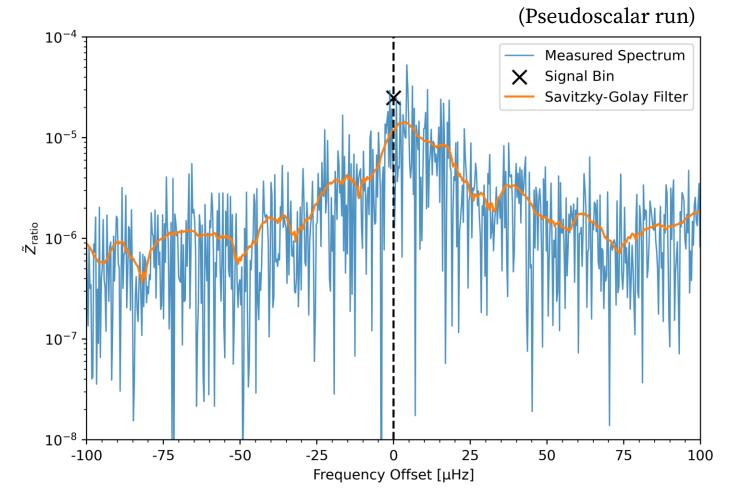
$$g_{a\gamma\gamma} = \frac{2}{BL} \left(T_{\text{diag}} T_{\text{M2}} \frac{P_{\text{out}}}{P_{\text{open}}} \right)^{1/4}$$

 Ratio of closed-to-open performed as complex numbers, removing phase changes:

$$ilde{Z}_{
m ratio} \equiv rac{1}{N} \sum^N rac{H[n]}{C[n]}$$

Calibration array C[n] made from open shutter Z-sums.





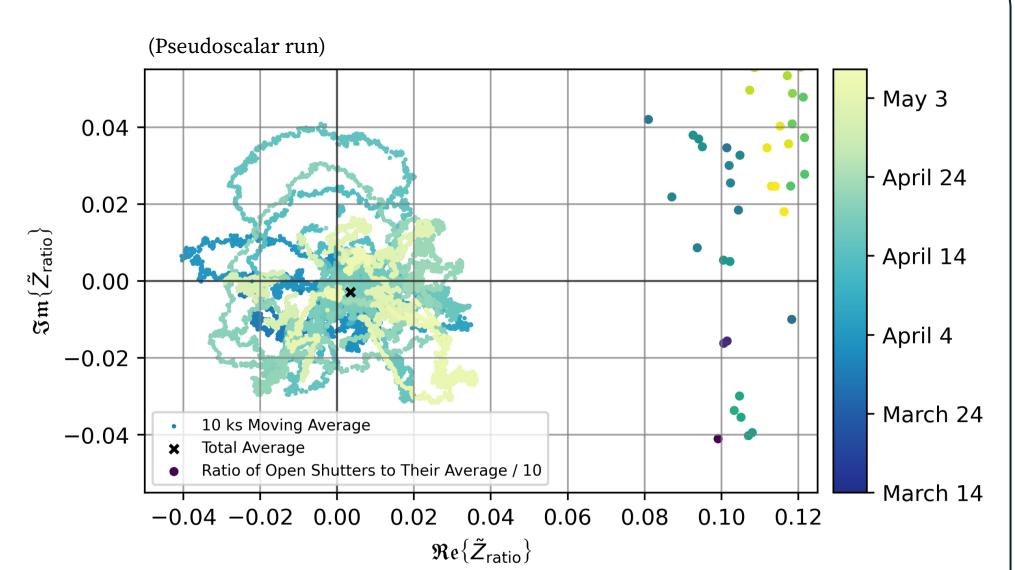
A power spectrum can be obtained for frequencies δf offset from the beat-note frequency.

$$S(\delta f) \equiv \left| \frac{1}{N} \sum_{n}^{N} \frac{H[n]}{C[n]} e^{2\pi i (\delta f) t[n]} \right|^{2}$$

Applying an averaging filter estimates the expected power in each frequency bin.

Why stray-light?

- broadened off-center peak around the signal bin (the beat-note frequency)
- no significant excess in signal bin relative to expectation in neighboring bins
- high fluctuations in phase and amplitude over time compared to open shutter



• A "moving-average" *Z*-sum reveals incoherent phase and amplitude evolution over the data run.

 $\tilde{Z}_{\rm ratio}^{(10\text{ks})}[n] \equiv \frac{1}{10^4} \sum_{n-5000}^{n+5000} \frac{H[n]}{C[n]}$

• Open shutter Z-sums are divided by their average; values near 1 show they have stable phase and amplitude.

Stray-Light Statistics

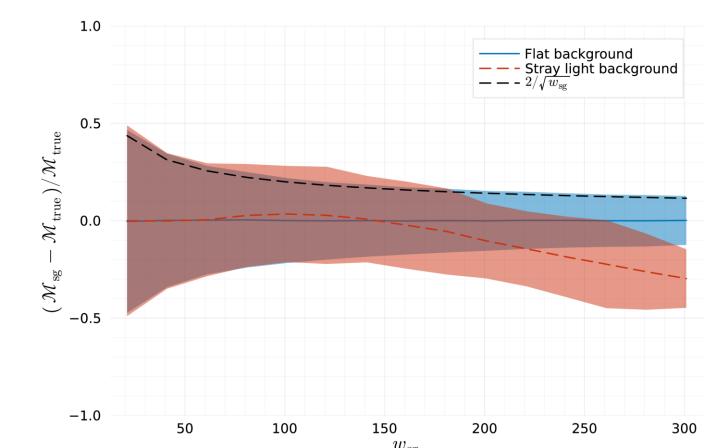
• Z follows a complex Gaussian distribution, so $|Z|^2$ follows a degree-2 non-central chi-square:

$$ncx2(w\,|\,\lambda,s)=\frac{1}{2s}e^{-\frac{w+\lambda}{2s}}I_0\left(\frac{\sqrt{\lambda w}}{s}\right)$$
 λ : non-centrality parameter, proportional to

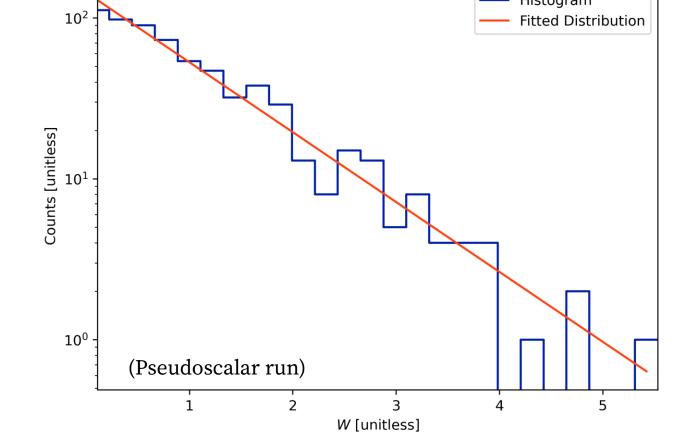
expected P_{out} (relates $g_{a\gamma\gamma}$) s: scaling factor, related to noise expectation I_0 : modified Bessel function of the 1st kind

- using spectrum as a proxy for statistics on the signal bin:
 - assume the filtered spectrum estimates the mean of noise in each bin
 - normalize the spectrum by the filter (recovers the noncentral chi-square distribution)

$$W(\delta f) = \frac{S(\delta f)}{S_{\text{filt}}(\delta f)}$$



 Monte-Carlo simulations found optimal filter parameters (e.g. window size) that would not under-estimate the true mean.



• histogram of normalized spectrum $W(\delta f)$ follows the non-central chi-square distribution

	Power in signal bin*	Pearson test statistic	Non-centrality parameter*	5σ detection threshold*	95% confidence exclusion limit*
Pseudoscalar run	2.9×10^{-5}	0.92	0	1.5×10^{-4}	2.5×10^{-4}
Scalar run	1.9×10^{-5}	1.14	7.3×10^{-8}	3.6×10^{-4}	5.8×10^{-4}
	•	•	*in same units as $ \tilde{Z}_{\rm ratio} ^2$		

New Exclusion Limits

- neighboring frequencies used as proxy for statistics on signal bin
- statistics from spectrum calculates exclusion limits on $g_{a\gamma\gamma}$ such that
 - 95% probability to have not missed a 5σ detection
- For pseudo-scalar couplings:

 $g_{a\gamma\gamma}^{\rm ps} < 1.4 \times 10^{-9} \ {\rm GeV^{-1}}$

- ~20x better than previous lightshining-through-wall experiments
- For scalar couplings:

$$g_{a\gamma\gamma}^{\mathrm{s}} < 1.8 \times 10^{-9} \; \mathrm{GeV^{-1}}$$

References

- 1. A. Hallal, et al., "The heterodyne sensing system for the ALPS II search...", Physics of the Dark Universe, vol. 35, p. 100194, 2022.
- 2. T. Kozlowski, et al., "Design and performance of the ALPS II regeneration cavity", Optics Express, vol. 33, p. 11153, 2025.



