

ALCOR and the Hamamatsu UVE SiPM sensors

Fabio Cossio

ALCOR day - 25.02.2025

ALCOR with HPK UVE SiPMs

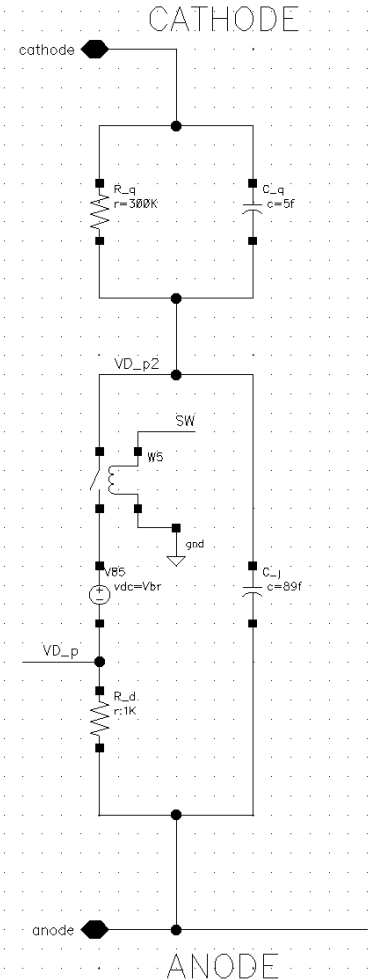
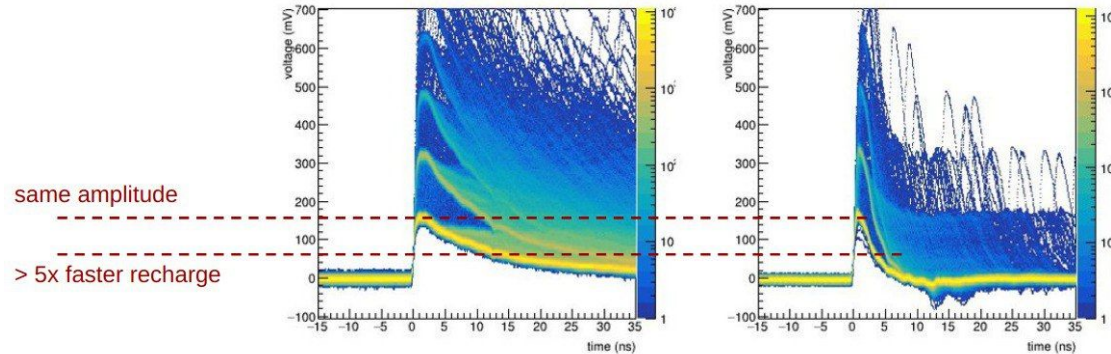
S13360-3050UVE - S14160-3075UVE

- improved NUV sensitivity, improved signal shape and recharge time

	Symbol	S13360-3050UVE	S14160-3075UVE	Unit
Number of pixels / channel	N	3584	1600	-
Junction capacitance	C_d	85	215	fF
Quenching capacitance	C_q	17	25	fF
Parasitic capacitance	C_g	19	19	pF
Quenching resistance	R_q	300	270	k Ω
Diode resistance	R_d	1000	1000	Ω
Breakdown voltage	V_{bd}	53	53	V

S13360-3050VS

3584
89
5
49
300
1000
53



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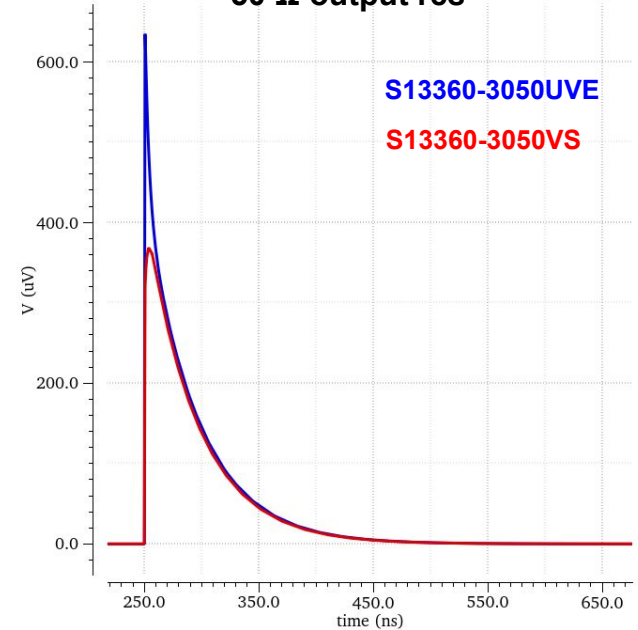
S13360-3050VS

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- $Q = (C_d + C_q) \cdot OV = 306 \text{ fC} \rightarrow G = 1.9 \cdot 10^6$
- $C_{\text{tot}} = N \cdot (C_d + C_q) + C_g = 385 \text{ pF}$
- Same R_q , R_d

larger Gain
smaller C_g , larger C_q and C_d

50 Ω output res

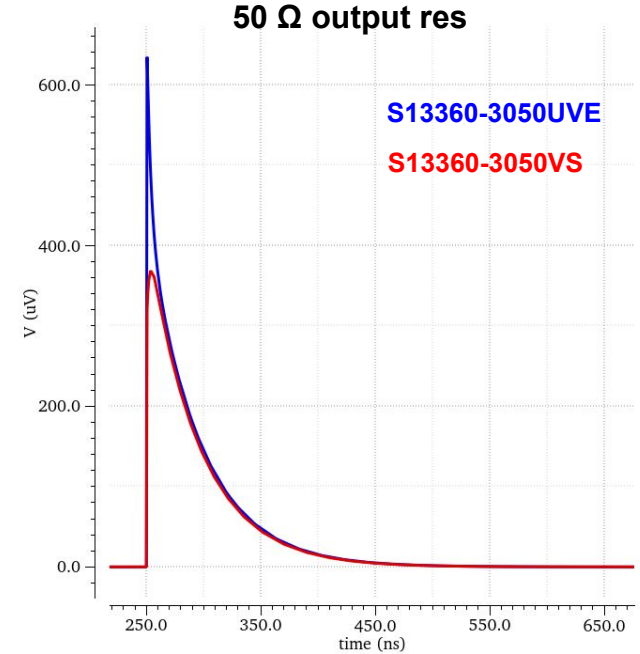
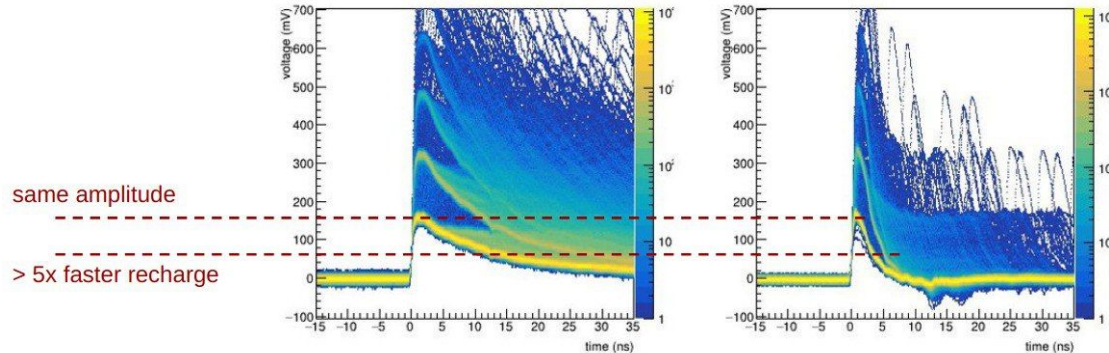


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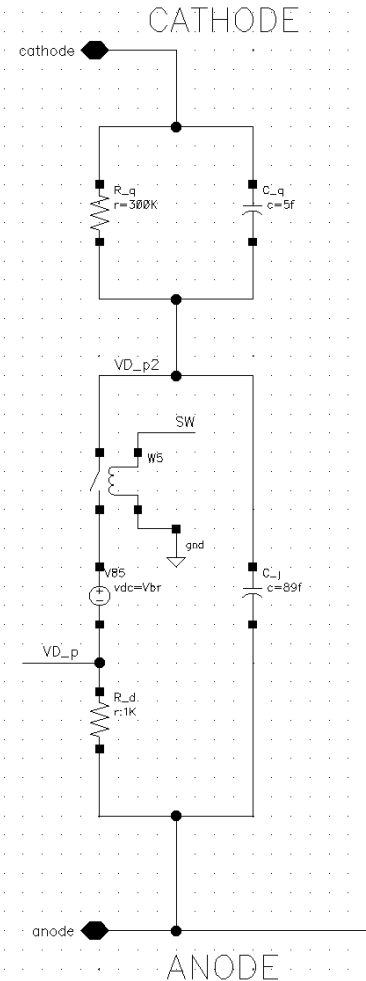
Avalanche begins → switch is closed, C_d discharges through R_d with time constant

- $\tau_{\text{rise}} = R_d \cdot (C_d + C_q)$

Avalanche quenched → switch is opened, V_{bias} recharges C_d with an exponential process with two time constants

- Fast supply path across C_q and the capacitive coupling through C_q , fast time constant
 - $\tau_{\text{fast}} = R_L \cdot C_{\text{tot}} = 20 \Omega \cdot 385 \text{ pF} = 7.7 \text{ ns}$
 - $C_{\text{tot}} = C_g + N \cdot (C_d + C_q)$
 - R_L = input impedance of the FE electronics
- Slow component due to the exponentially decreasing recharge current flowing through R_q (SiPM recovery time constant), dominates the tail of the response
 - $\tau_{\text{slow}} = R_q \cdot (C_d + C_q) = 300 \text{ k}\Omega \cdot 102 \text{ fF} = 30.6 \text{ ns}$

How is the faster recharge done? Something wrong in SiPMs models?



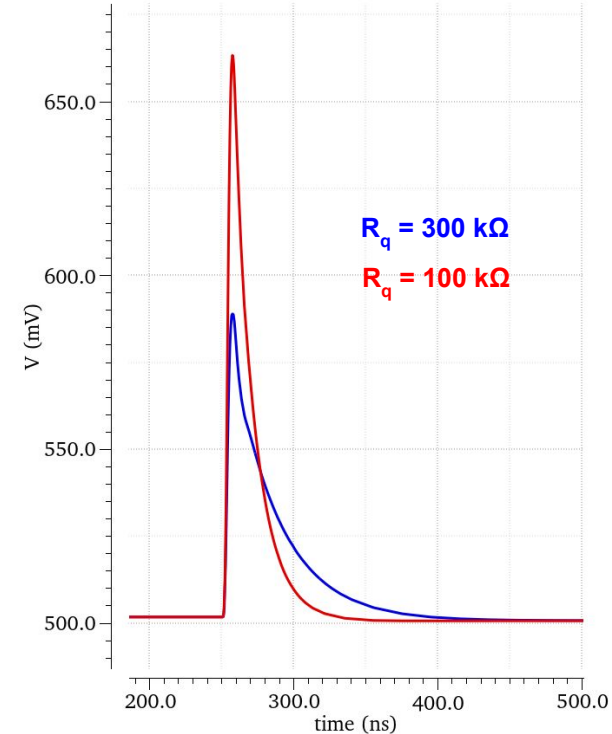
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