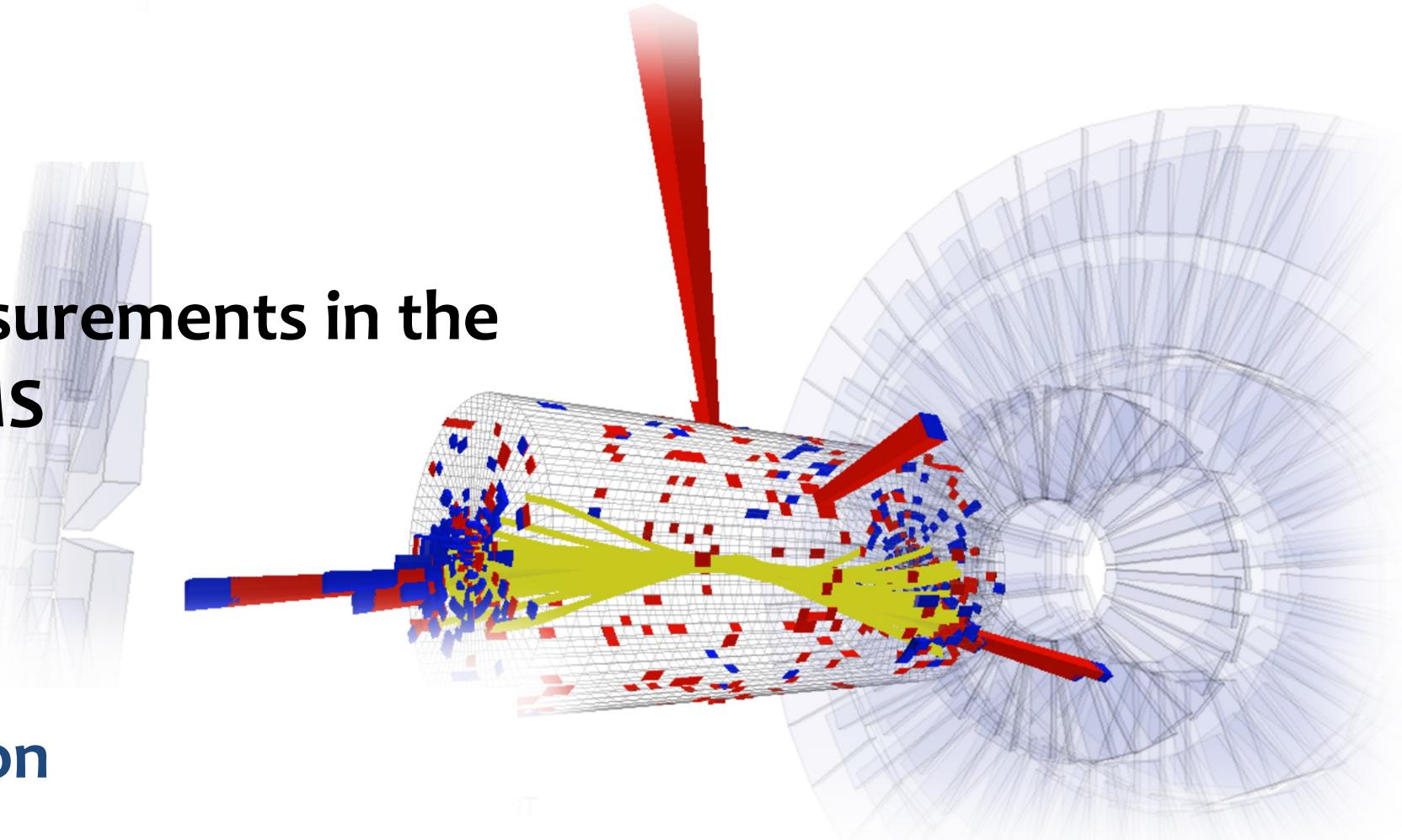


# IMPERIAL

**Over 10 years of measurements in the  
Higgs Sector with CMS**

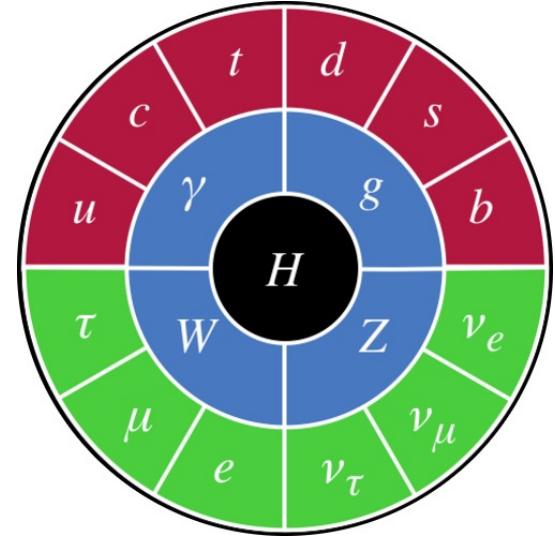
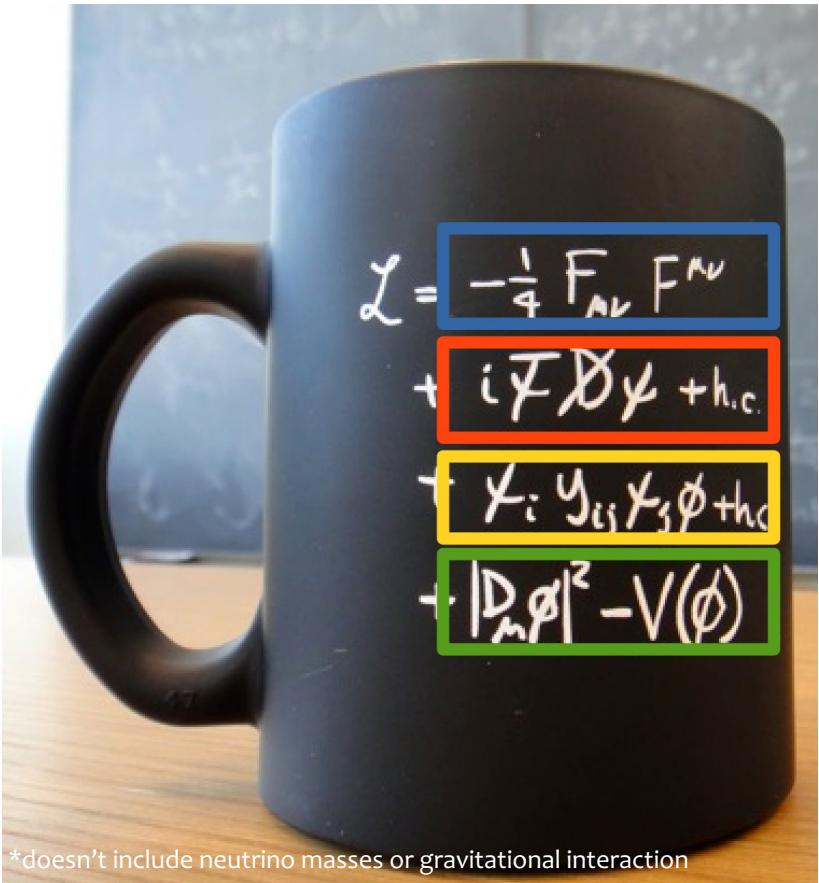
Nicholas Wardle    
Imperial College London



INFN Seminar  
Sapienza U. of Rome, 02/12/2024

# The Standard Model

The Standard Model (**SM**) of particle physics is a (set of) quantum field theory(ies) that describe the **fundamental\* particles of nature and their interactions**



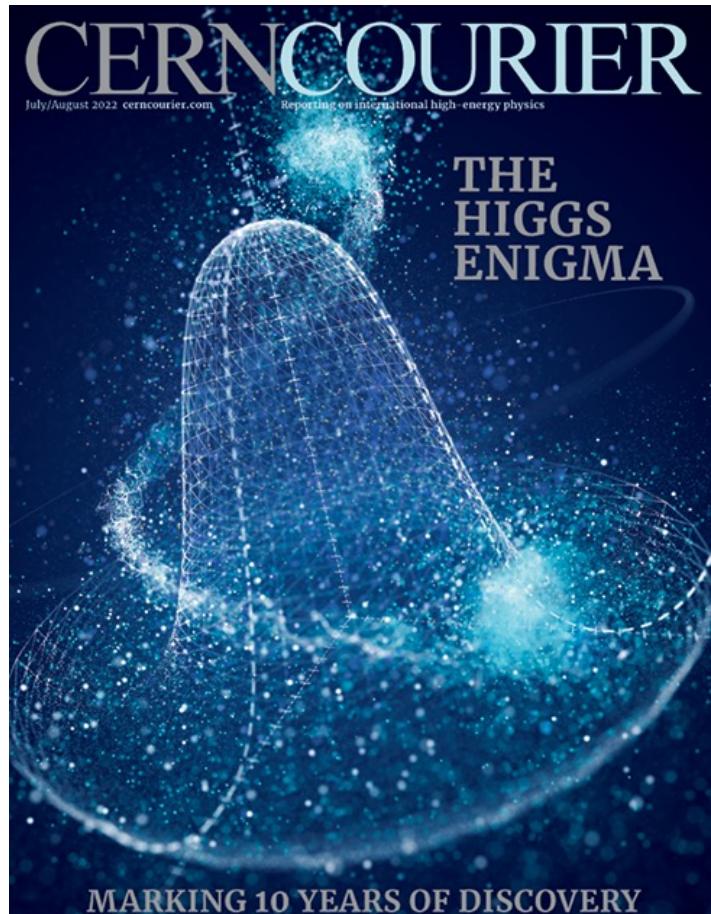
Propagation of force-carriers (spin-1 boson)

Interactions of matter particles (spin-1/2 fermions)

Masses of matter particles

Higgs interactions and mass of force carriers

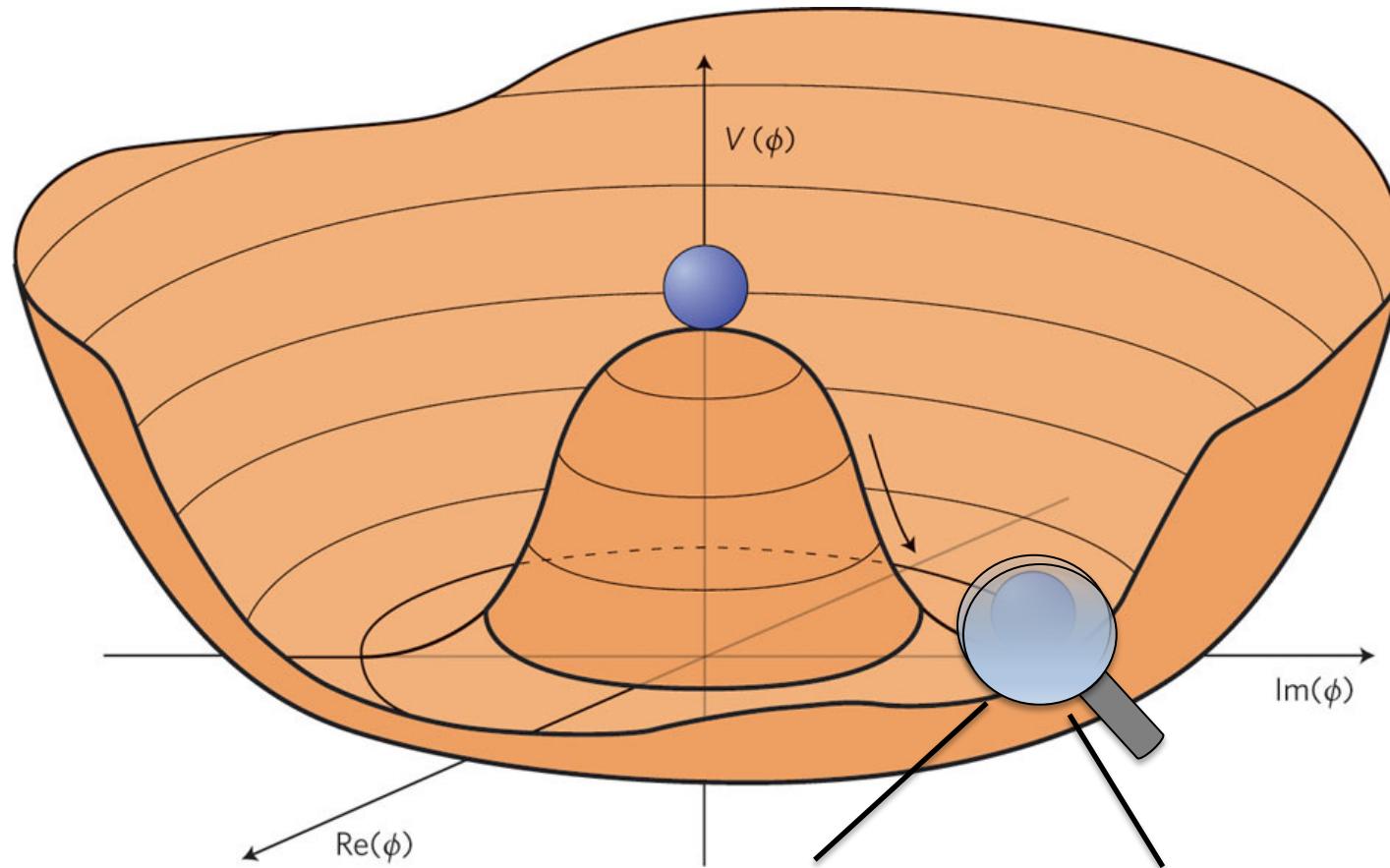
# July 4<sup>th</sup> 2022



years  
**HIGGS boson**  
discovery



# The Higgs boson

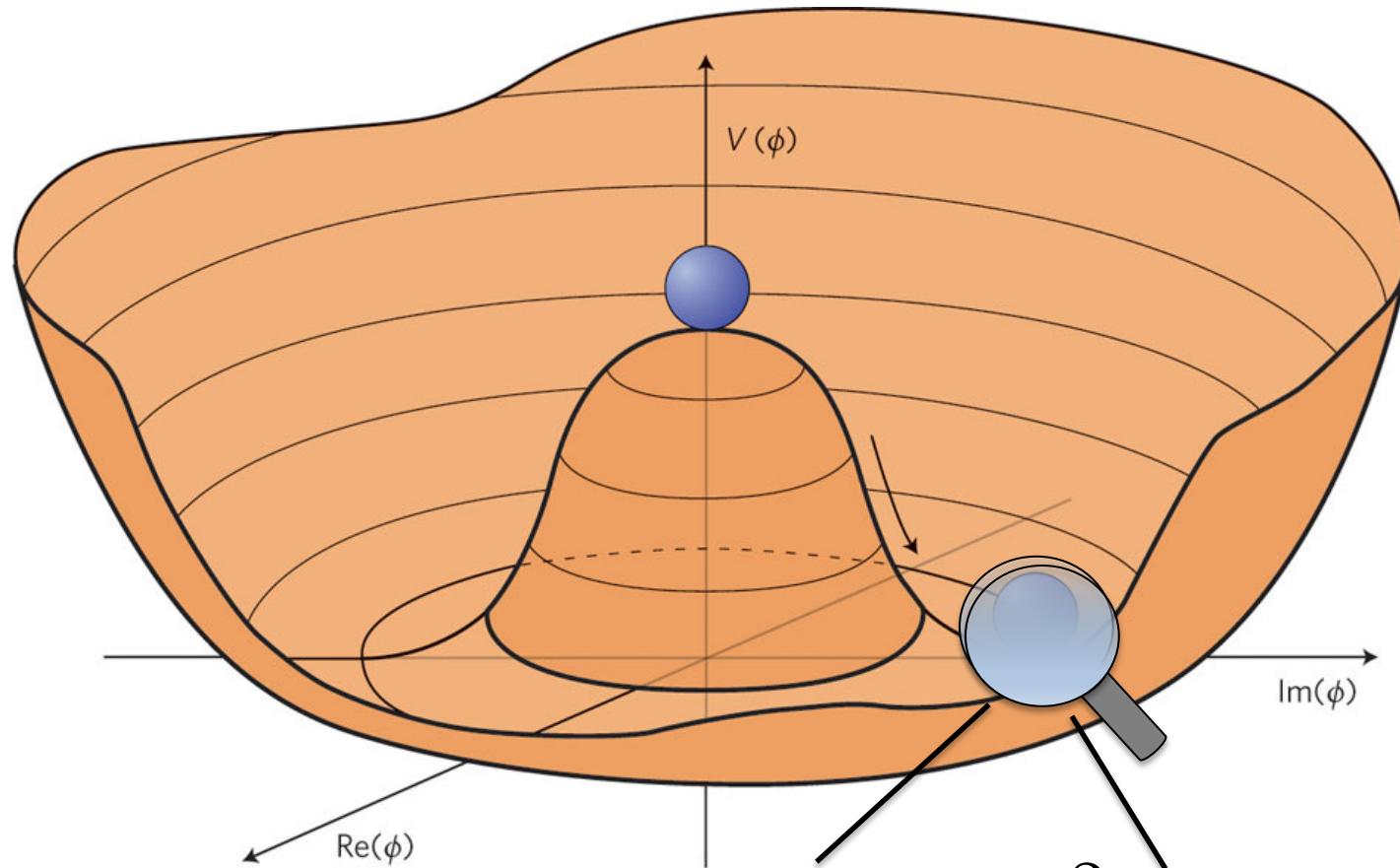


$$V(H) = \frac{1}{2}m_H^2 H^2 + \lambda v H^3 + \frac{1}{4}\lambda H^4 + \text{const}$$

$$\lambda = \frac{m_H^2}{2v^2}$$

Expanding around **potential minimum** (ignoring linear  $H$ )...  
→ **3 parameters**  $v$ ,  $m_H$  and  $\lambda$   
→ Relationships between them fixed in the SM

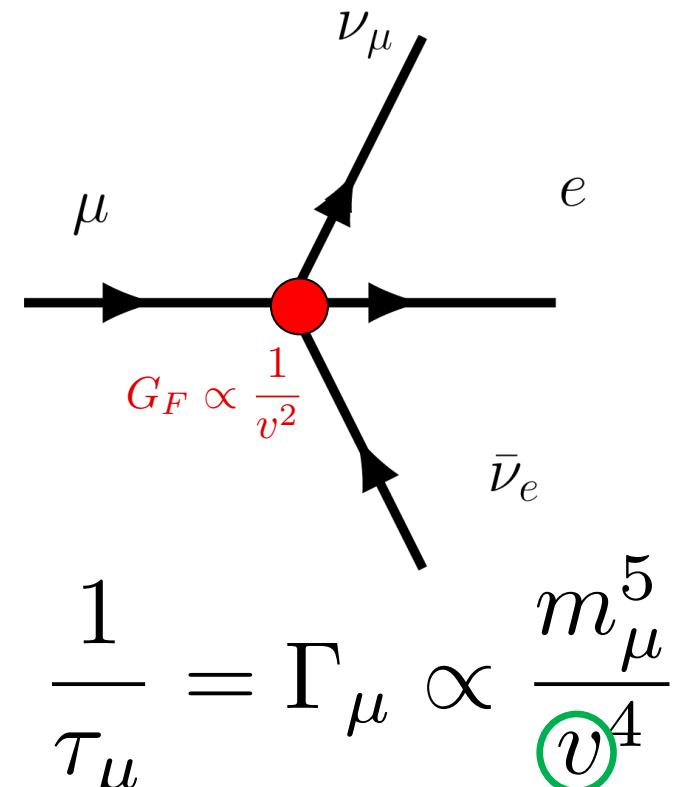
# The Higgs boson



$$\lambda = \frac{m_H^2}{2v^2}$$

Higgs boson mass ( $m_H$ ) remains the only free parameter ...

Low energy probes (muon decay lifetime) fixes the **vacuum expectation value**



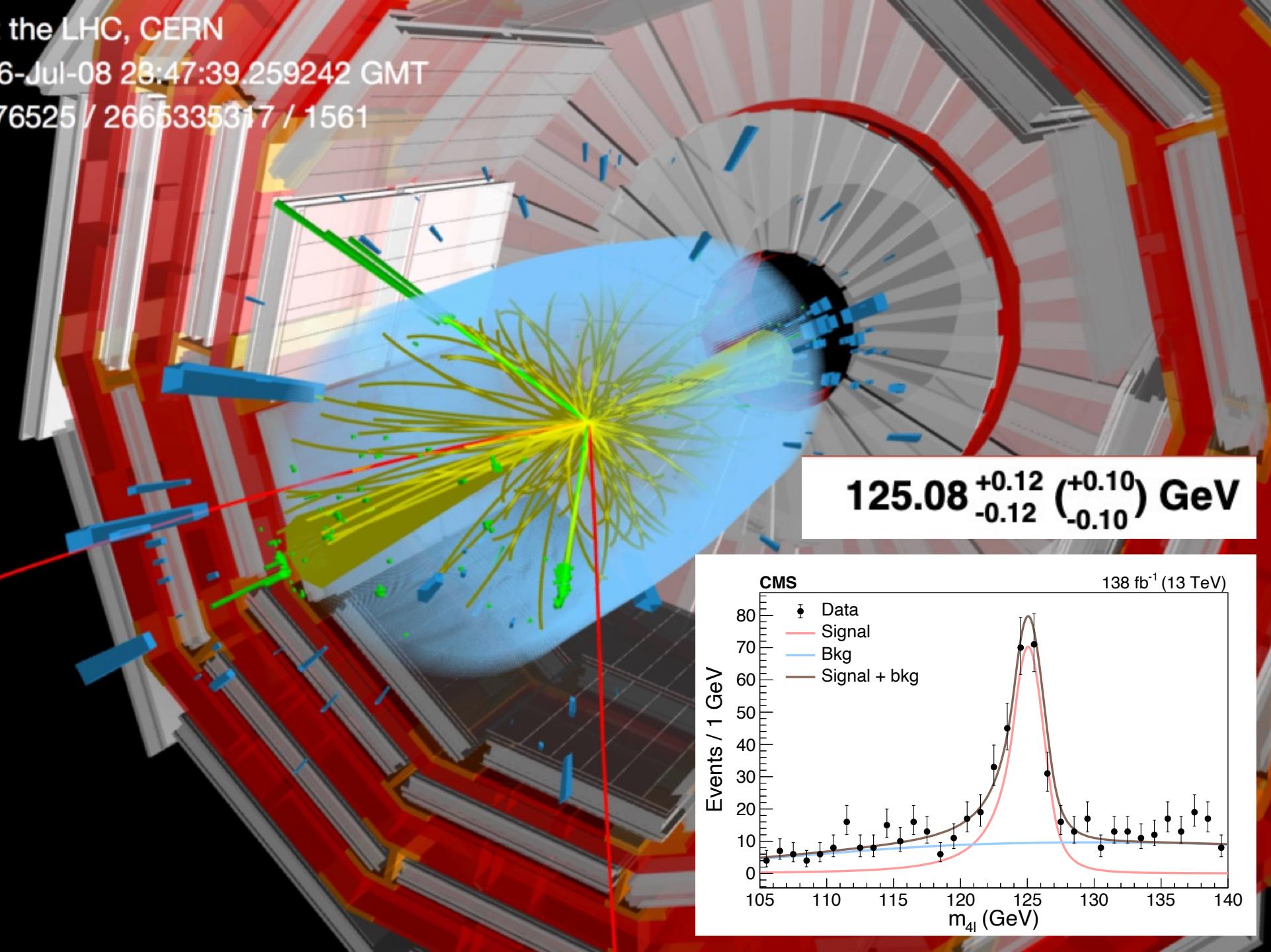


CMS Experiment at the LHC, CERN

Data recorded: 2016-Jul-08 23:47:39.259242 GMT

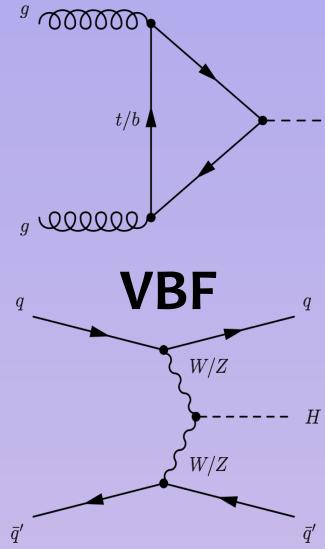
Run / Event / LS: 276525 / 2665335317 / 1561

Precision in Higgs boson  
mass at the level of  $\sim 0.1\%$   
with Run-1 & Run-2 data

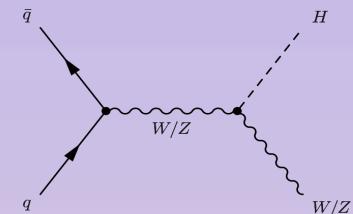


# Higgs Production and Decay

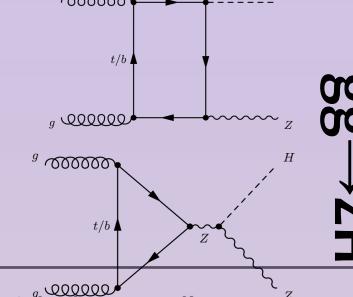
**ggH**



**VBF**



**WH / ZH**

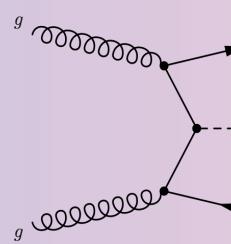


**gg $\rightarrow$ ZH**

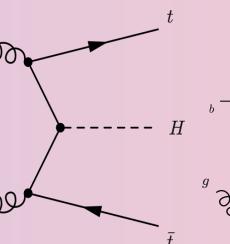
Nicholas Wardle

Decreasing cross-section

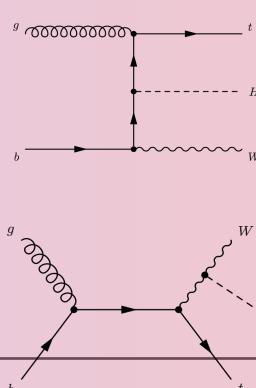
**bbH**



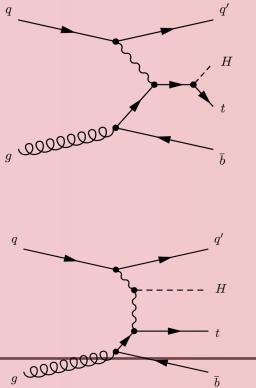
**ttH**



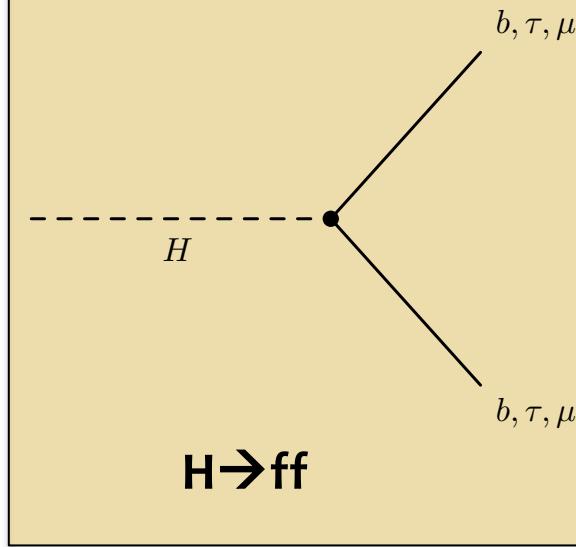
**gb $\rightarrow$ tHW**



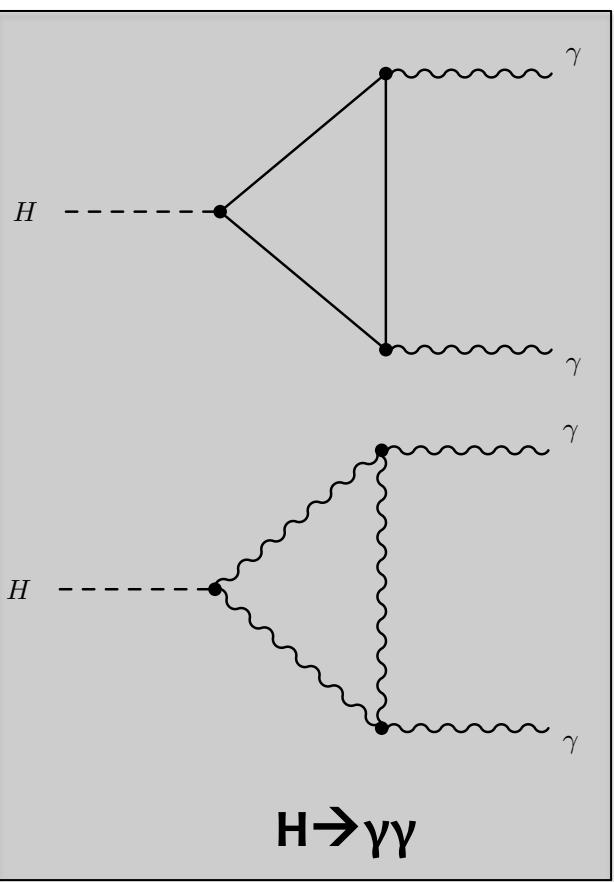
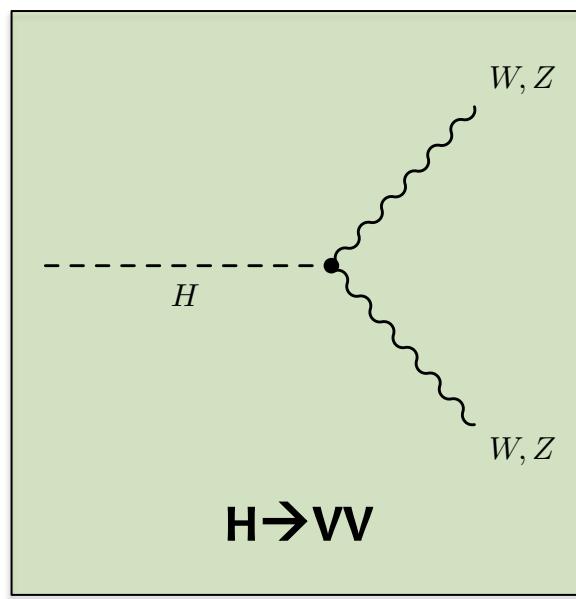
**qg $\rightarrow$ tHq**



**H $\rightarrow$ ff**



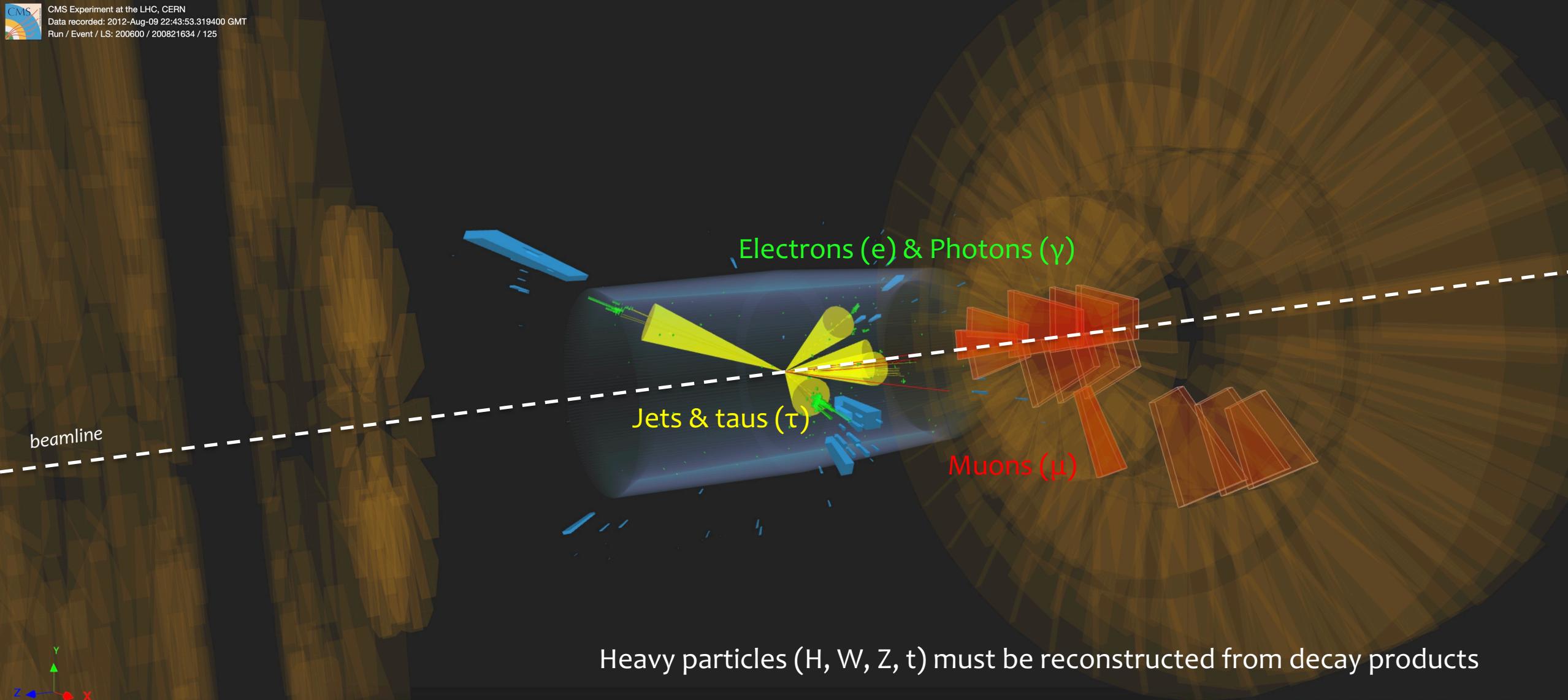
**H $\rightarrow$ VV**



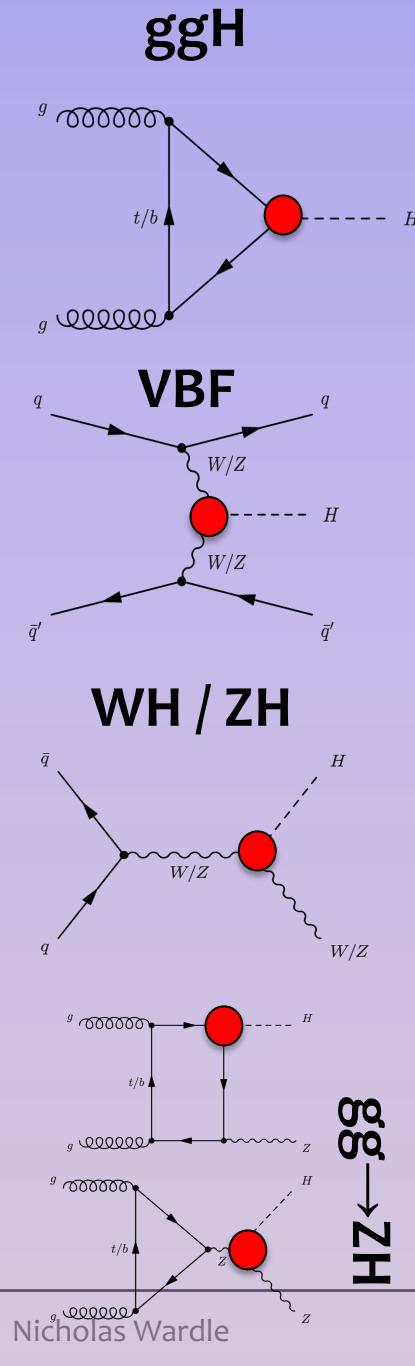
**H $\rightarrow$ gg**

Many production and decay modes to study Higgs for  $m_H \sim 125$  GeV

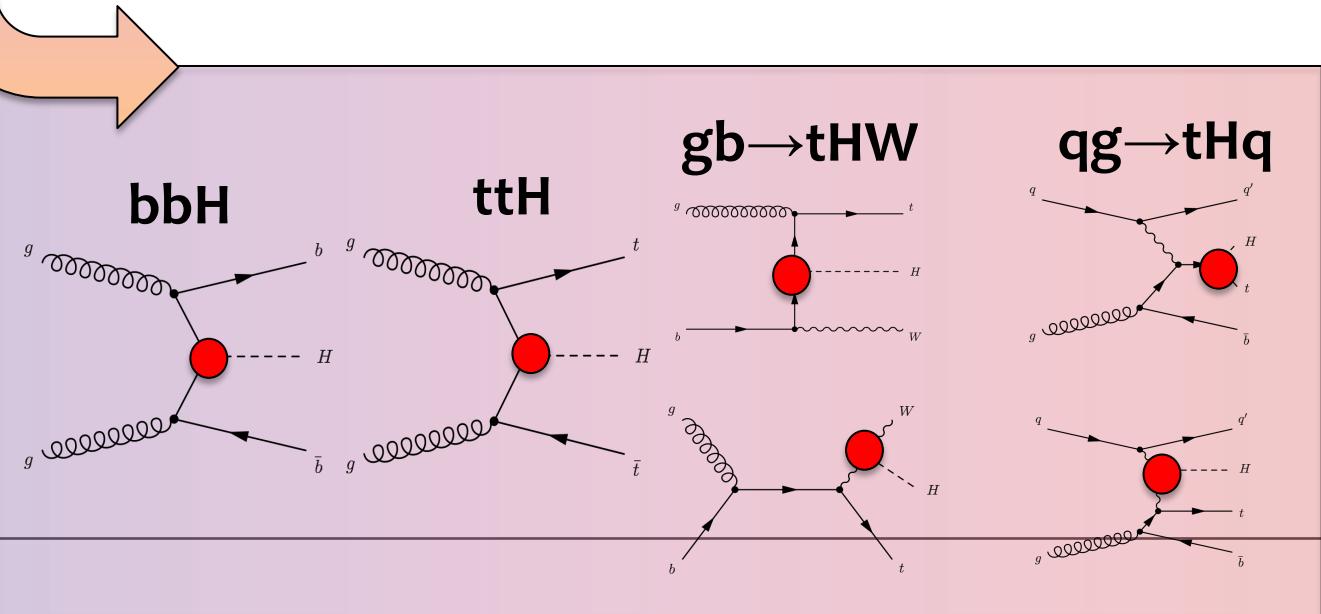
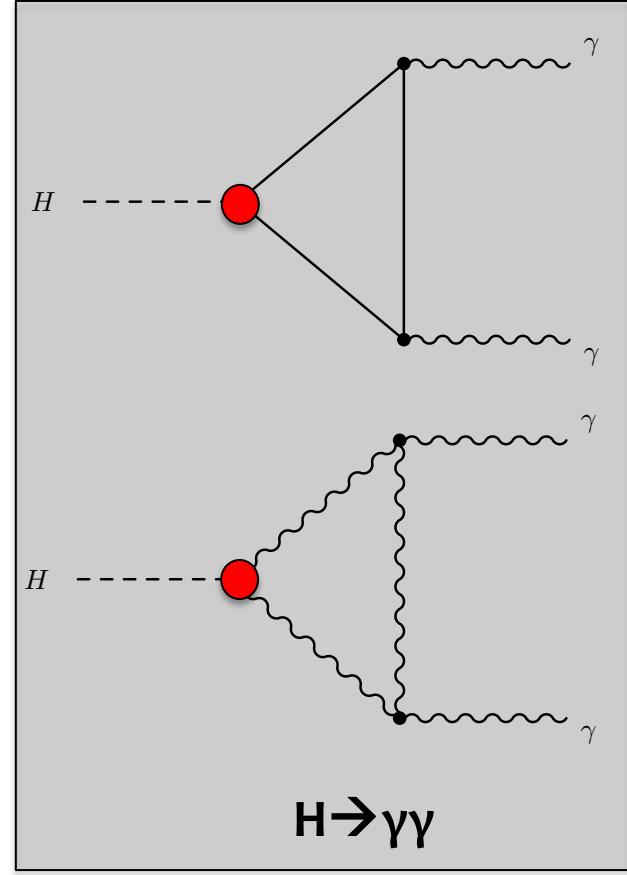
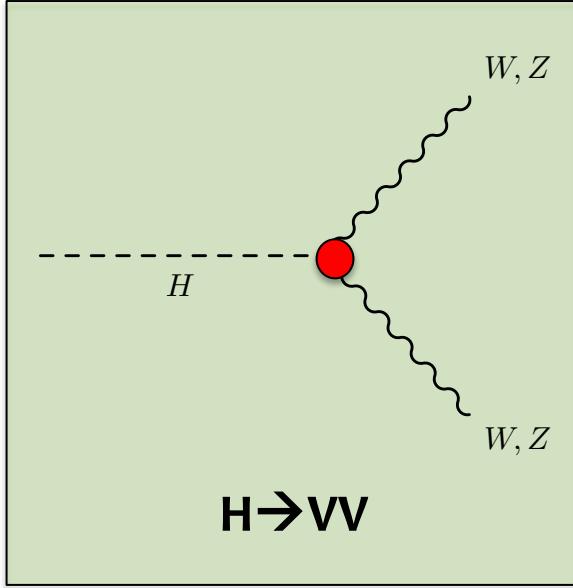
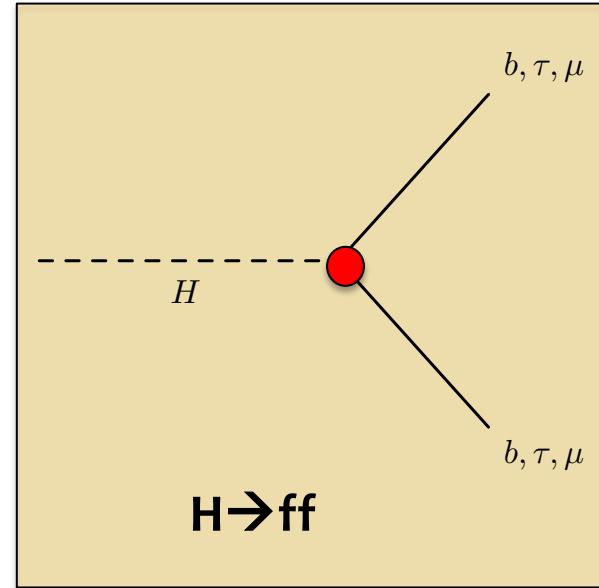
# CMS as a Higgs boson camera



# Higgs Production and Decay

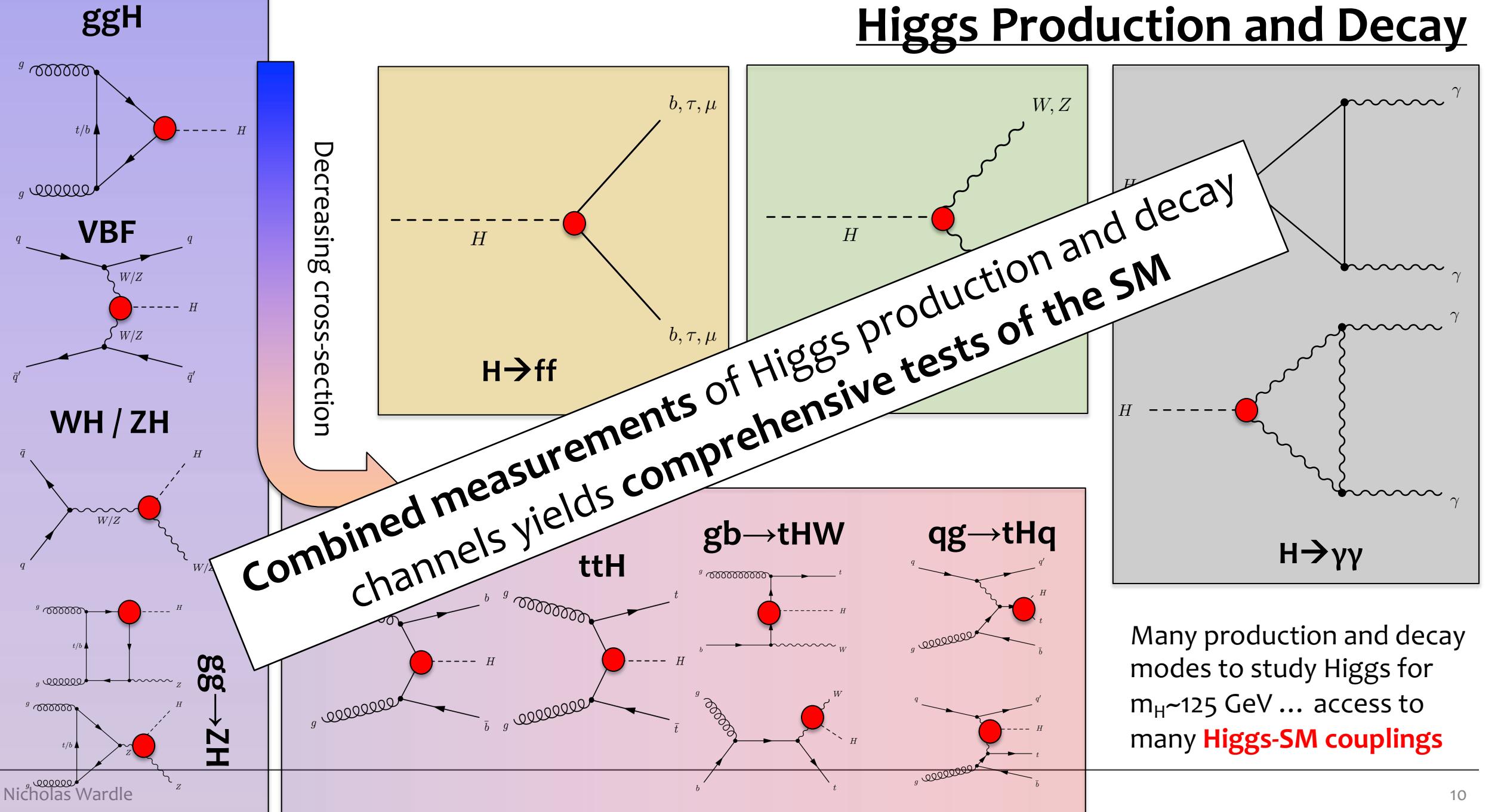


Decreasing cross-section



Many production and decay modes to study Higgs for  $m_H \sim 125$  GeV ... access to many **Higgs-SM couplings**

# Higgs Production and Decay



# Experimental Higgs Likelihood

We construct a likelihood to interpret the combined datasets from across Higgs channels ....

$$L(\vec{\mu}, \vec{\nu}) = \prod_n p\left(x_n; \sum_{i,f} \boxed{\mu_i \mu^f S_{i,n}^f(\vec{\nu})} + \sum_k B_k(\vec{\nu})\right) \cdot \prod_i p(y_i; \nu_i)$$

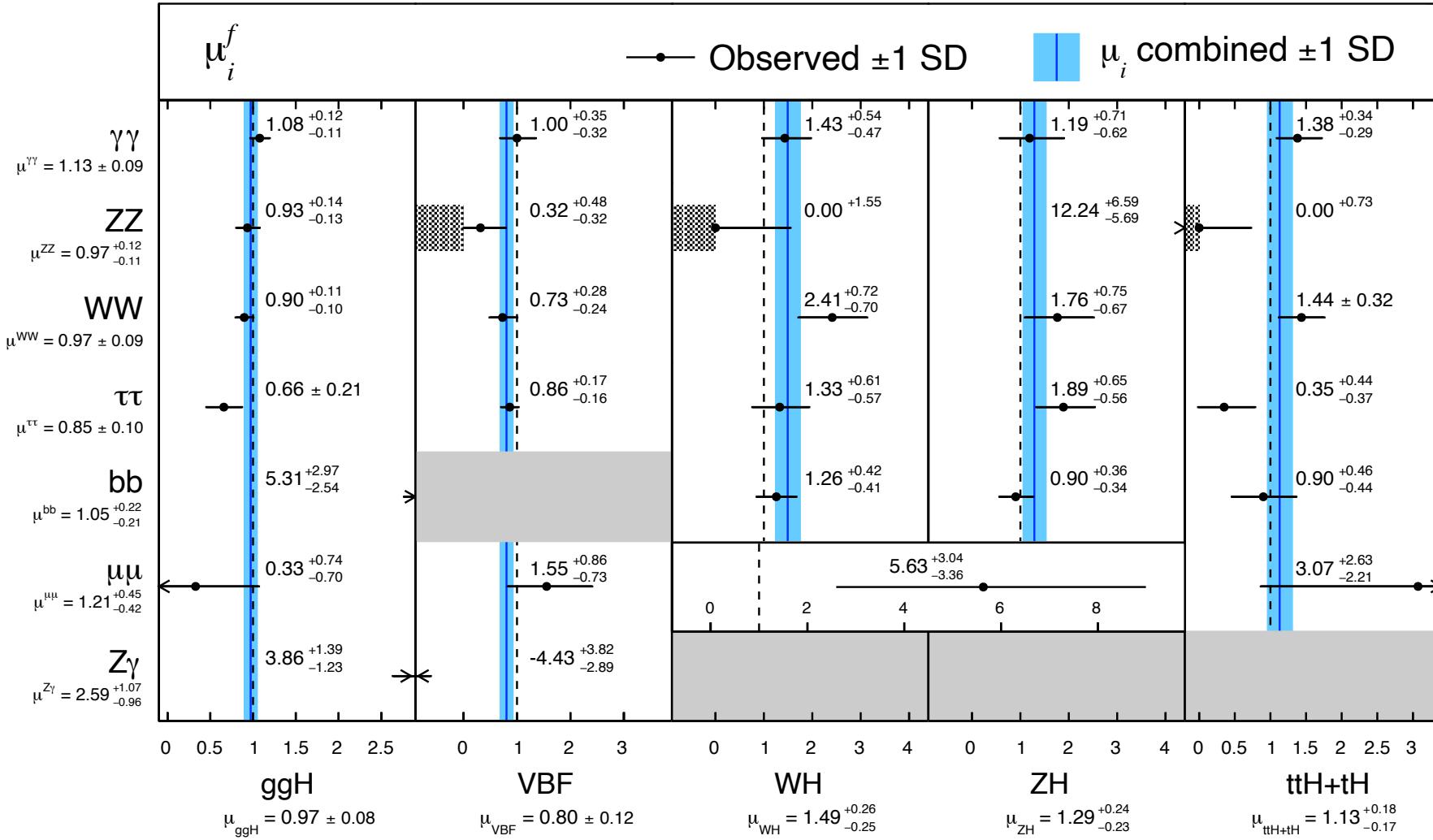
“Signal strengths” parameterization

$$\mu_i = \frac{\sigma_i}{(\sigma_i)_{\text{SM}}} \quad \text{and} \quad \mu^f = \frac{\text{BR}^f}{(\text{BR}^f)_{\text{SM}}}.$$

# Extracting the results

CMS

138  $\text{fb}^{-1}$  (13 TeV)

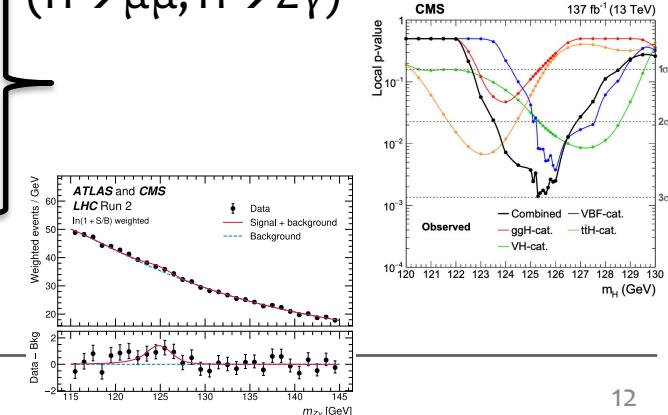


Latest CMS combination:  
[Nature 607 \(2022\) 60-68](#)

~850 channels  
(categories for data)

~9500 parameters  
in the model (mostly  
constrained nuisance  
parameters)

Evidence for Rare decays  
( $H \rightarrow \mu\mu, H \rightarrow Z\gamma$ )

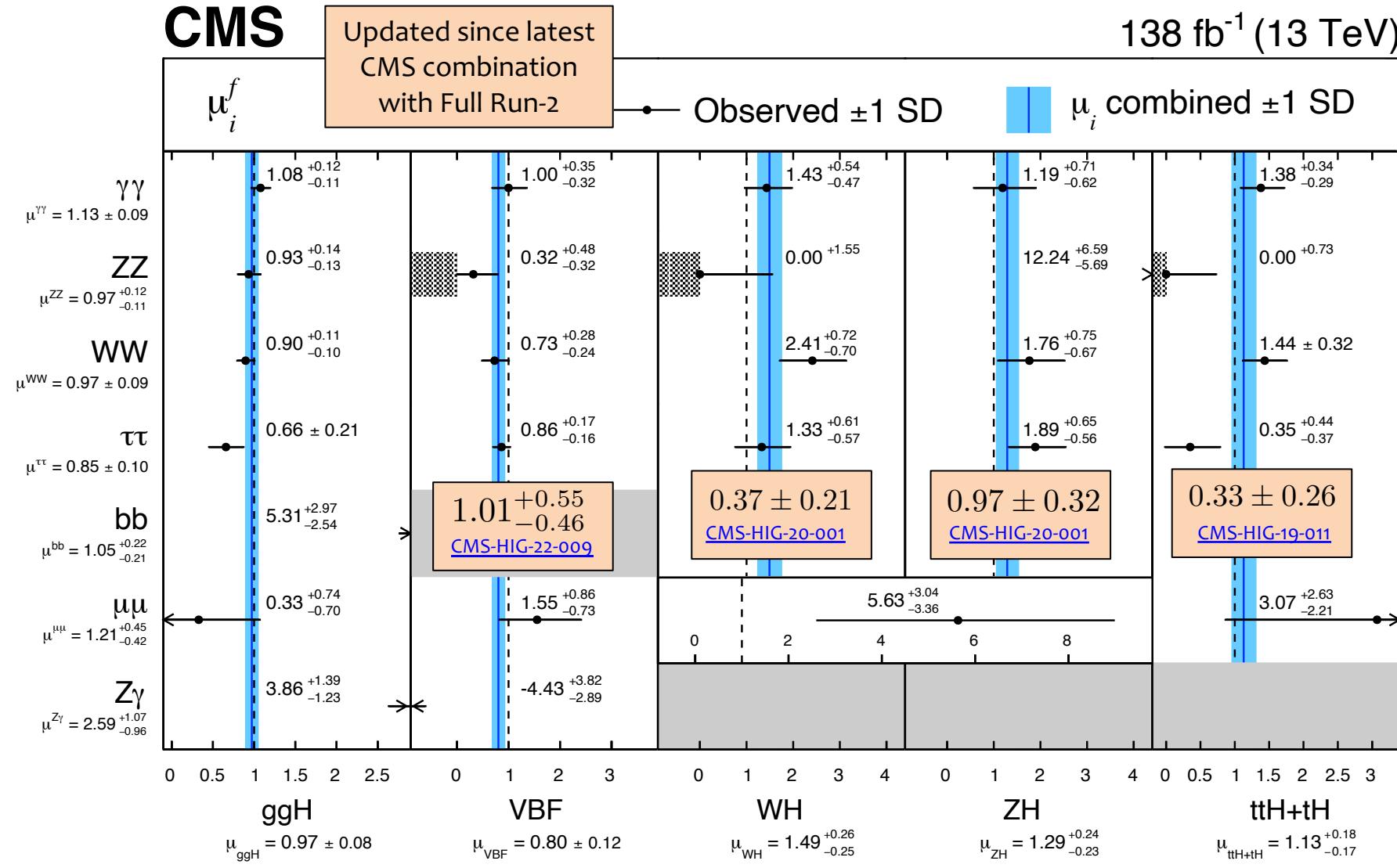


# Extracting the results

CMS

Updated since latest  
CMS combination  
with Full Run-2

138  $\text{fb}^{-1}$  (13 TeV)

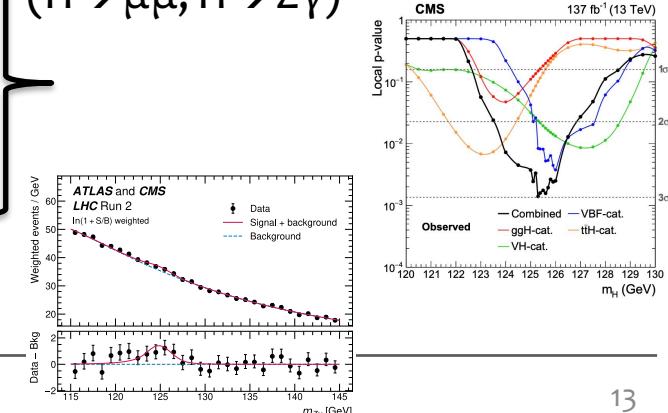


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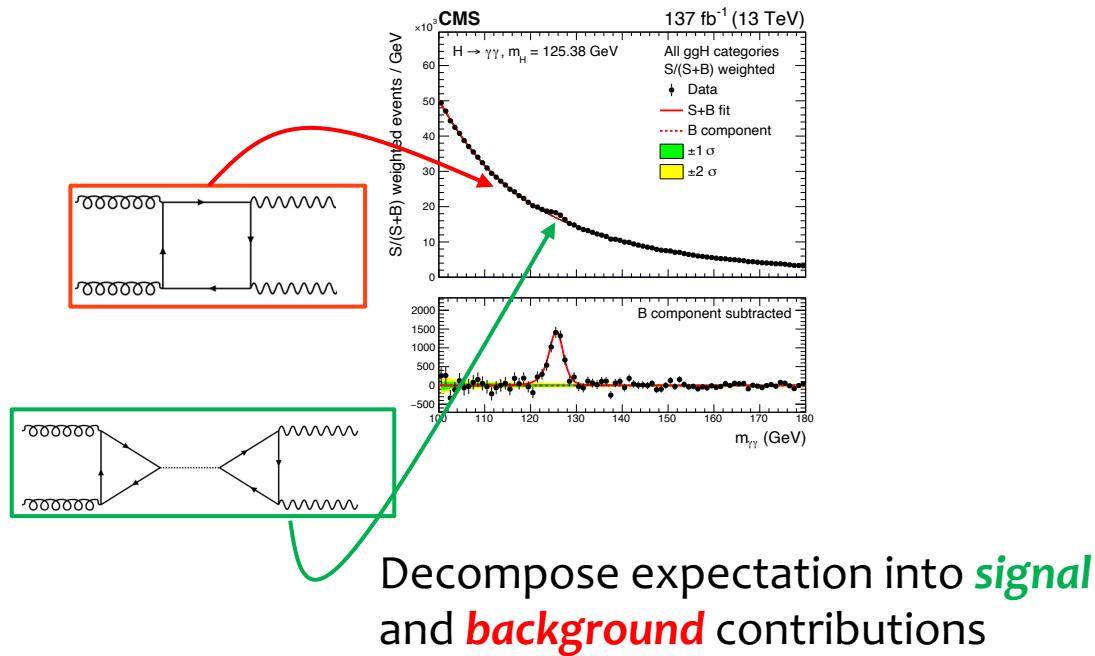
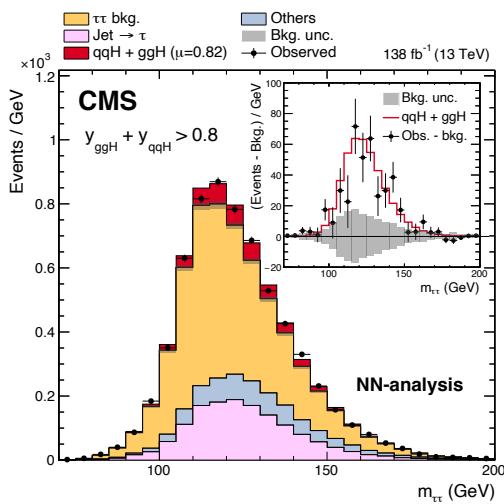


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The “data” in each channel

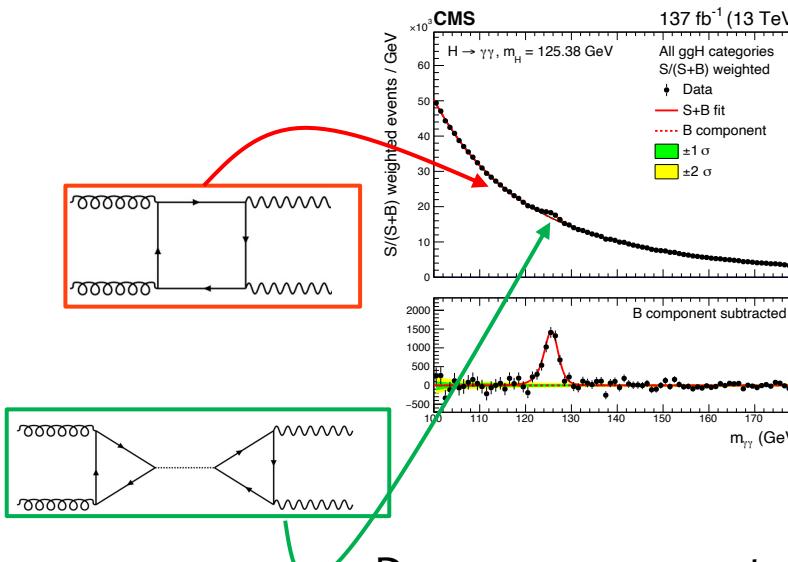
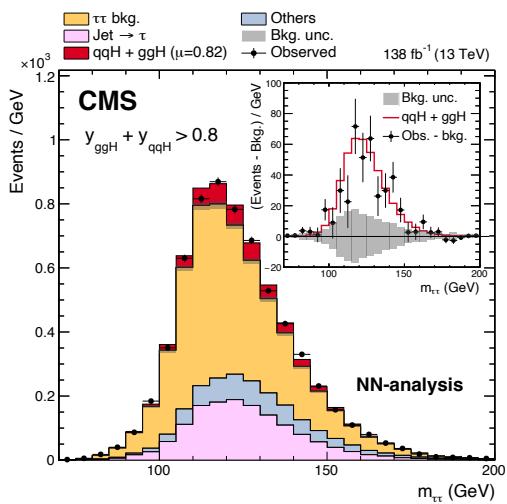


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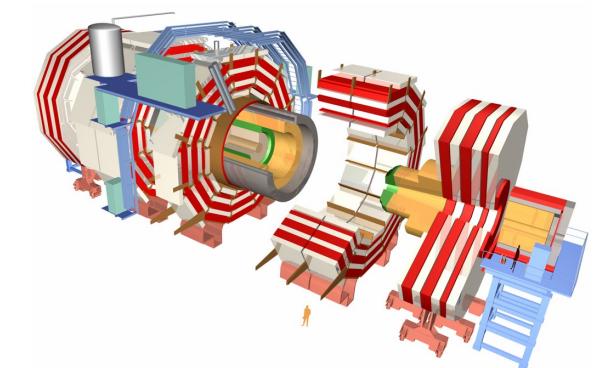
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The “data” in each channel



Decompose expectation into **signal** and **background** contributions

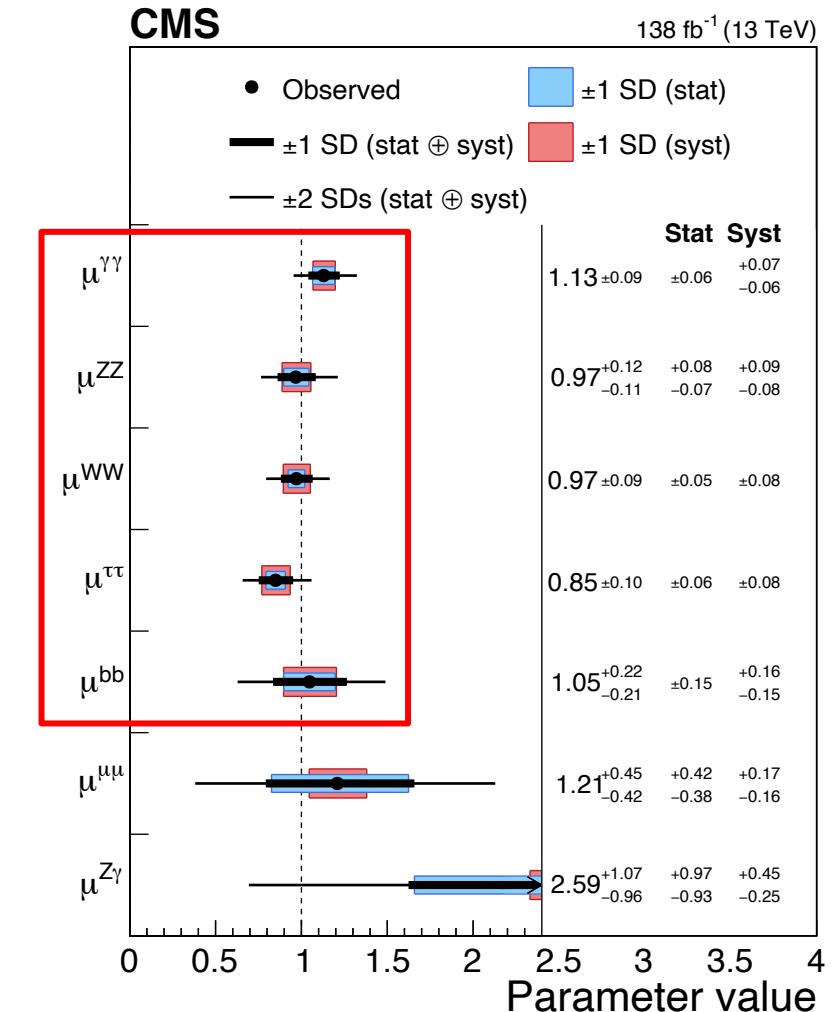
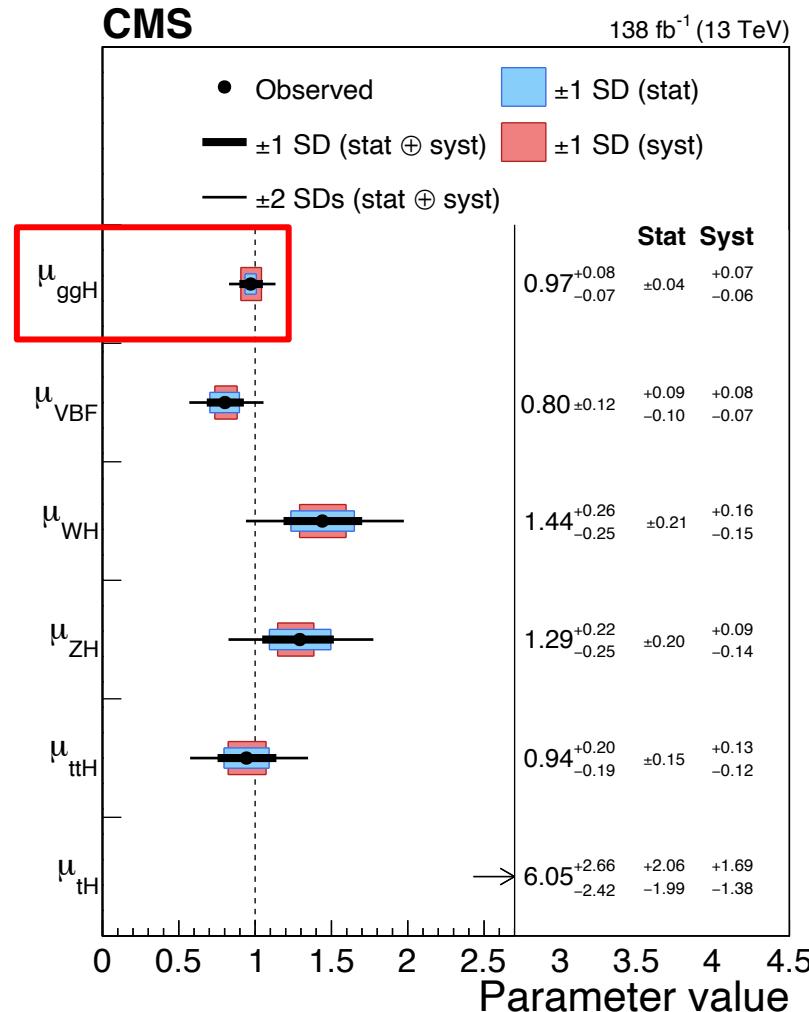
**Nuisance parameters** parameterize experimental/theoretical **systematic uncertainties**



# Extracting the results

Systematic uncertainties began dominate the sensitivity in certain measurements!

- Uncertainty in measurements of **largest production and decay modes** already comparable/larger than statistical uncertainties
- Inclusive measurements suffer from theoretical and experimental systematics (extrapolation etc)
  - Differential measurements needed to push sensitivity (see next talk)



# Experimental Higgs Likelihood

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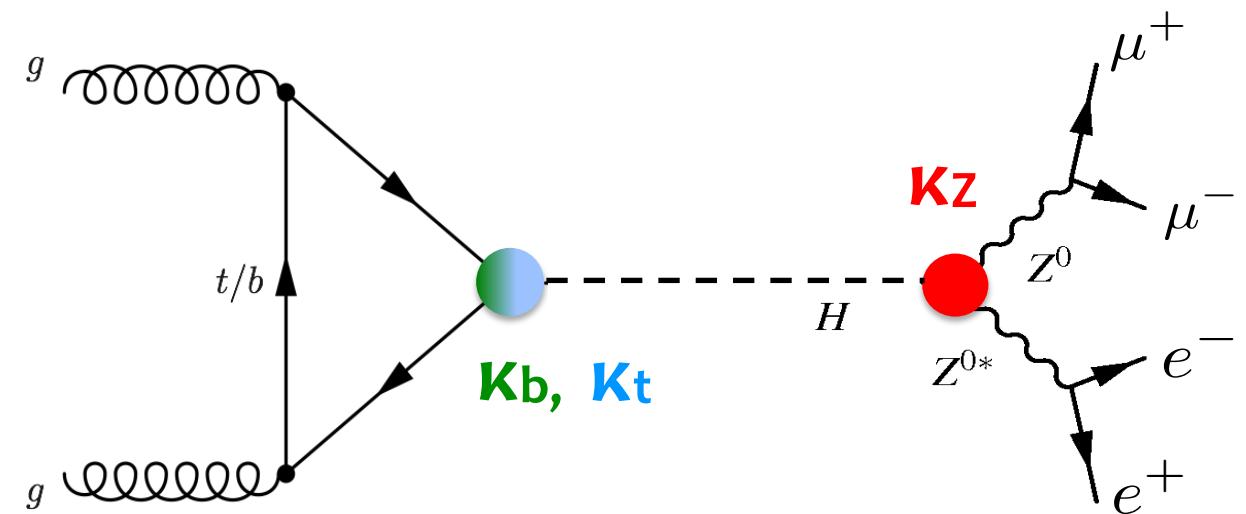
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“Signal strengths” parameterized in terms of “coupling modifiers”  $\kappa$

$$\mu_i = \frac{\sigma_i}{(\sigma_i)_{\text{SM}}} \quad \text{and} \quad \mu^f = \frac{\text{BR}^f}{(\text{BR}^f)_{\text{SM}}}.$$

$$\mu \rightarrow \mu(\kappa)$$

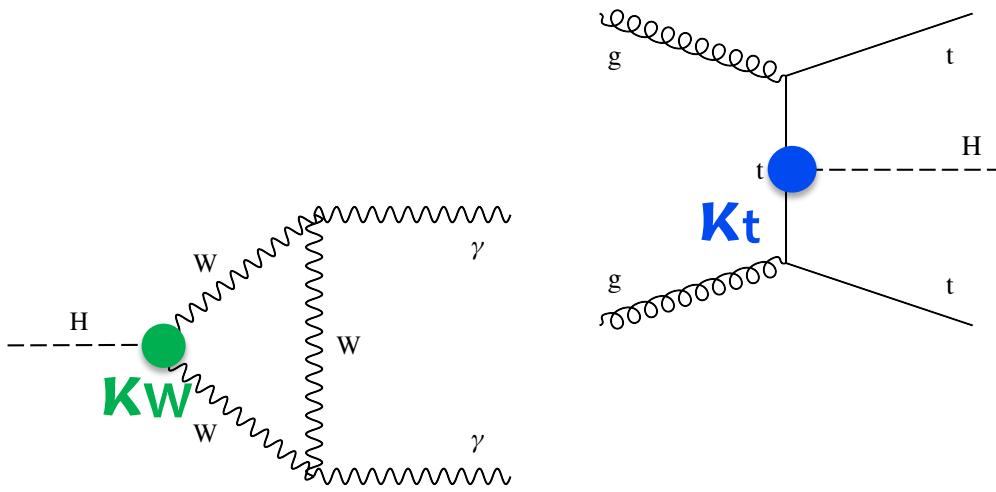
Standard model defined by  $\kappa = 1$  and  $\mu(1) = 1$



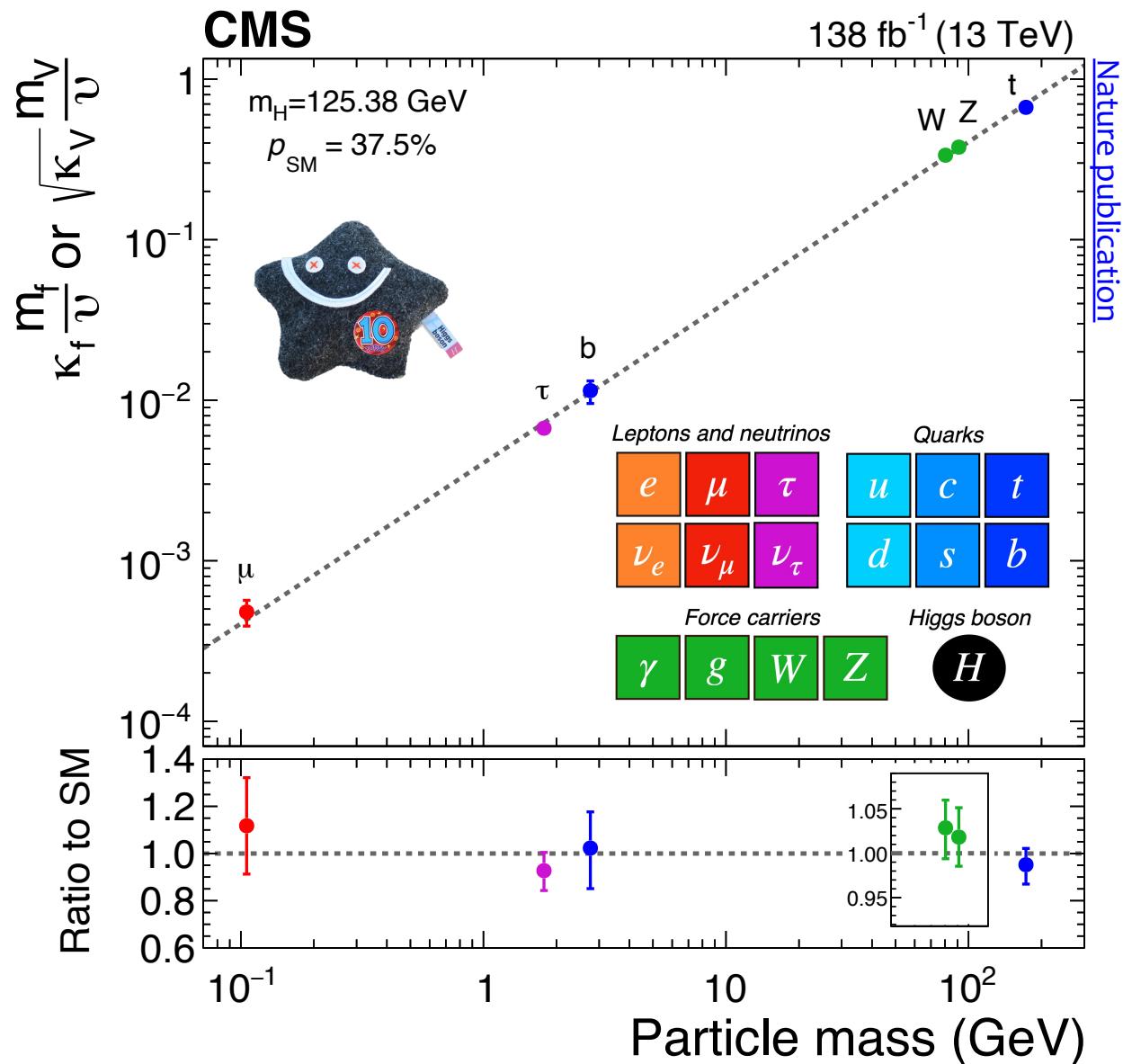
$$\mu_{ggH} \cdot \mu^{ZZ} \sim \frac{(1.06\kappa_t^2 + 0.01\kappa_b^2 - 0.07\kappa_b\kappa_t)\kappa_Z^2}{\kappa_H^2}$$

# Putting it all together

In the SM - Higgs interaction strengths (**couplings**) to SM particles are **proportional to mass** of those particles



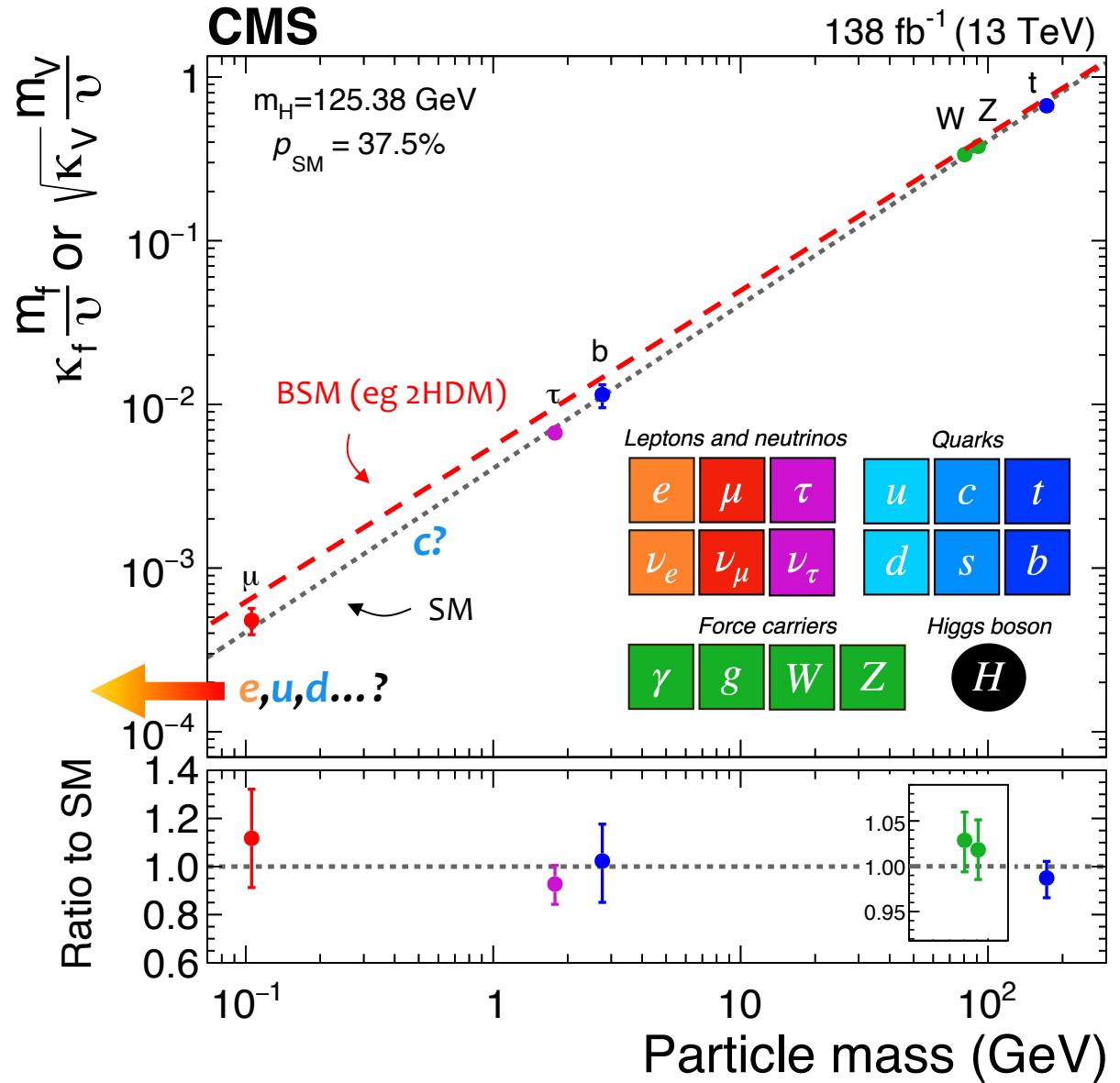
Through a **combination** of the different production and decay processes, we can extract the couplings to SM particles **and compare to the trend predicted in the SM**



# So, aren't we done?

The **Higgs boson** was the **missing piece of the SM** and we've had it now for 10 years ...

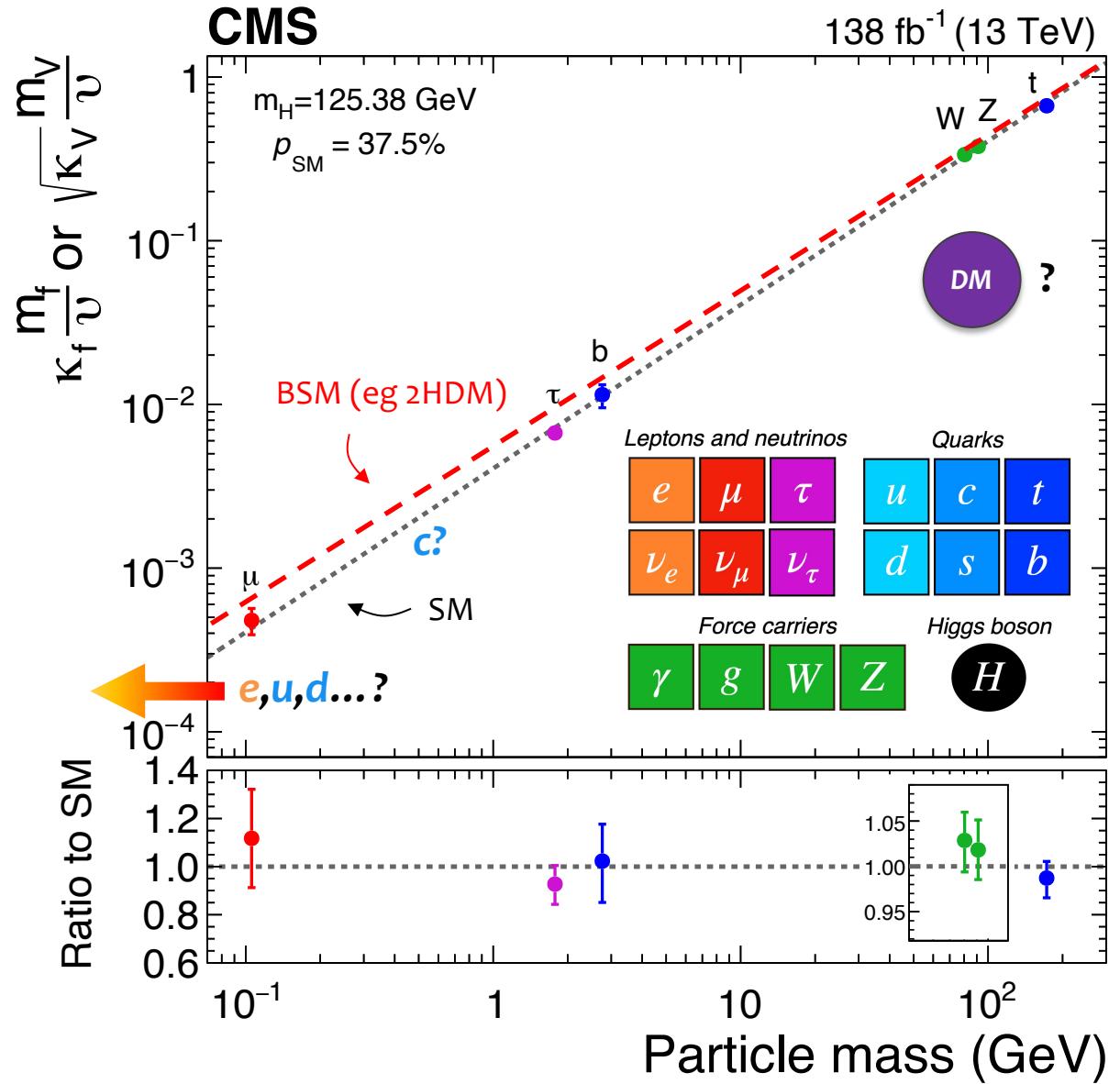
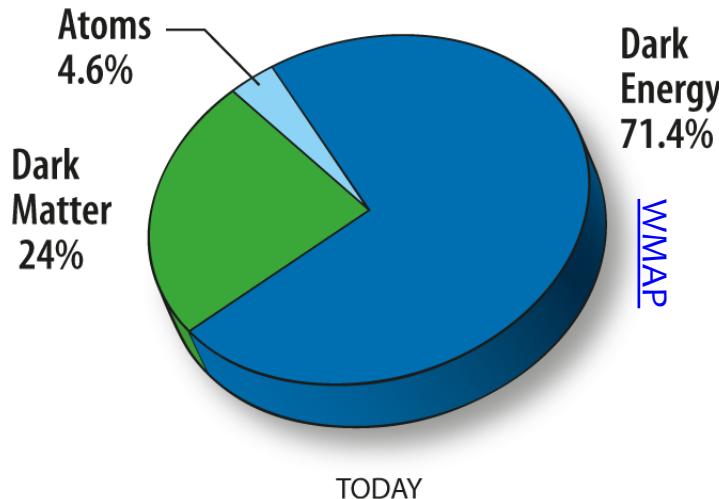
- Is the Higgs sector SM-like? → Do all the SM particles lie on that line?



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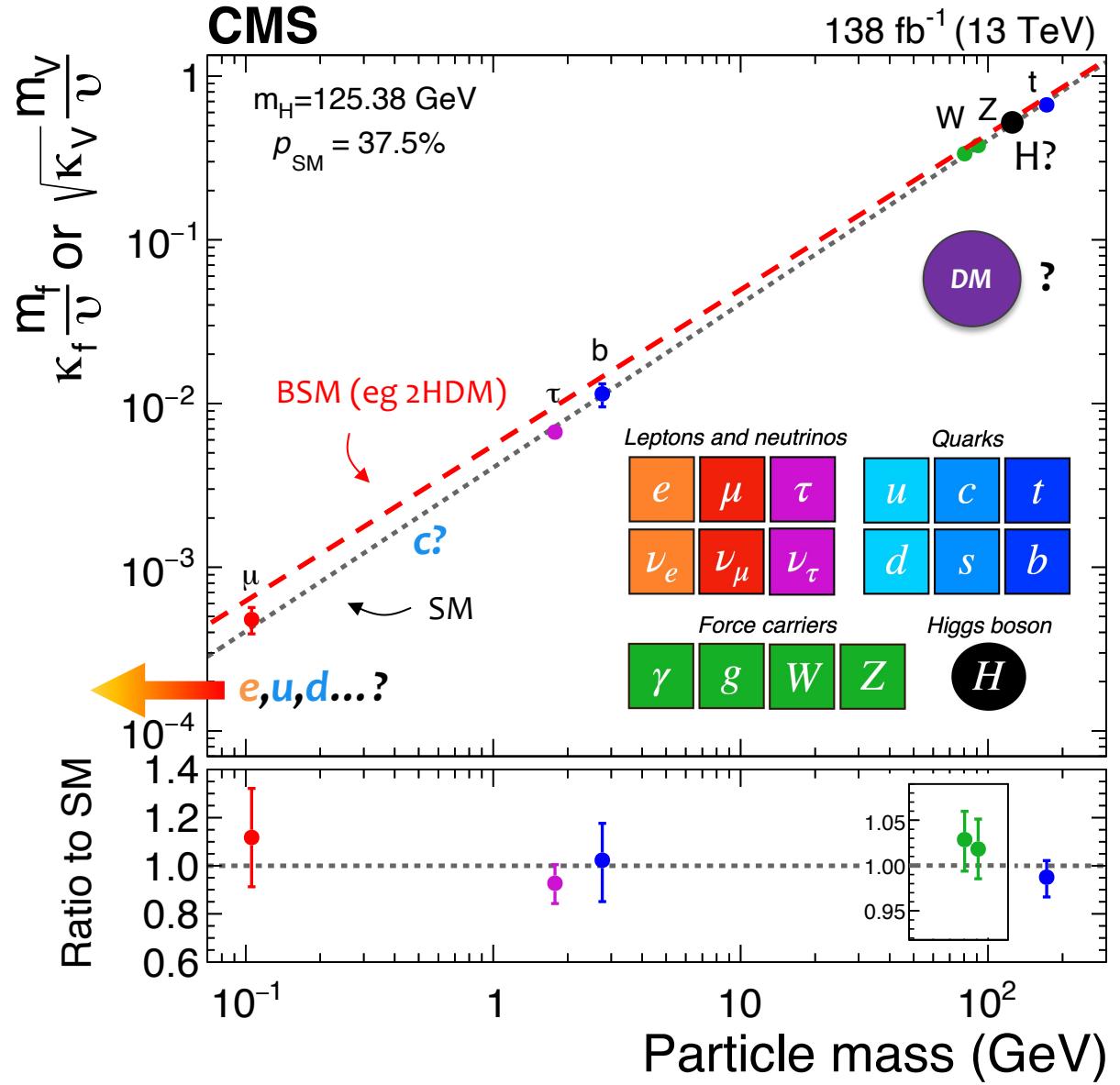
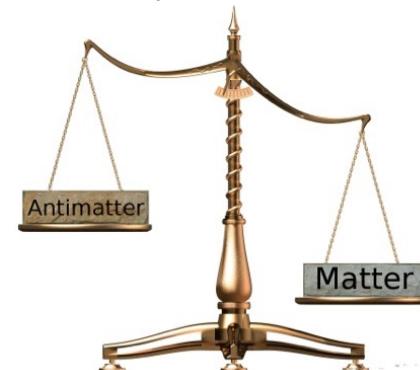
- **Is the Higgs sector SM-like ?** → Do all the SM particles lie on that line?
- **What does Dark Matter (DM) fit in ?** → if DM are massive particles, wouldn't they couple to the Higgs too?



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- **Why is there more matter in the universe?** → Could the Higgs self-coupling explain the evolution of the early universe (baryogenesis)?

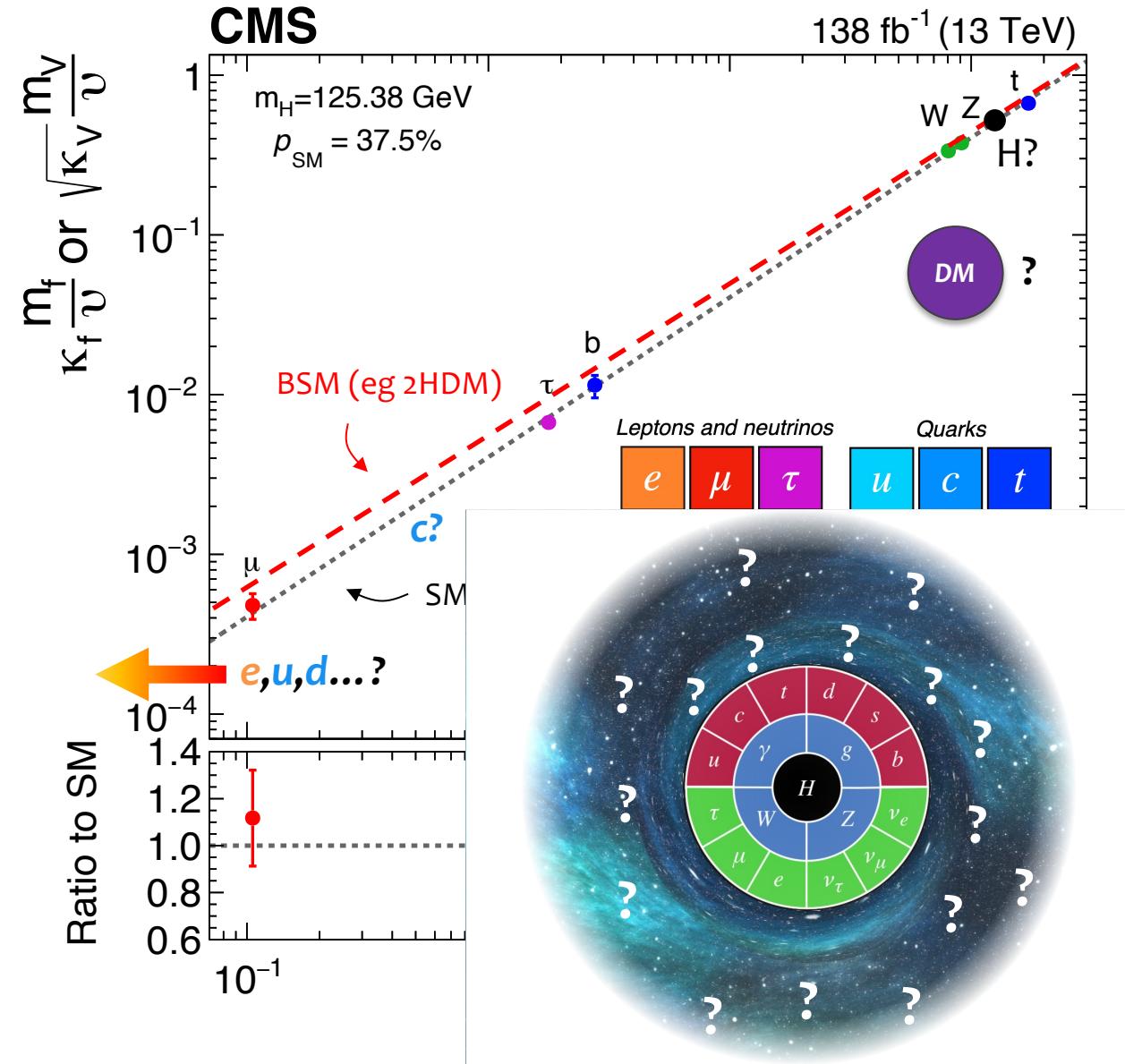


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These are **fundamental questions** in physics  
→ The **Higgs boson** is a unique tool to search for **physics Beyond the SM (BSM)**



# Precision measurements for discovery

Examples from the past have taught us that precision measurements can lead to *revolutionary discoveries...*

Herschel 1781



Uranus discovery  
“as a planet” (1781)



Precise measurements of position  
revealed deviations from expected orbit  
→ new planet predicted (1845/46)

Slide heavily inspired by J. Liu (Cambridge)

# Precision measurements for discovery

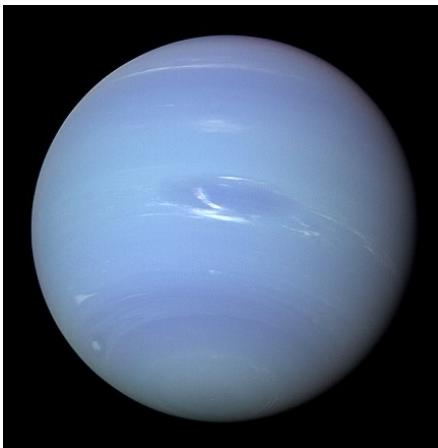
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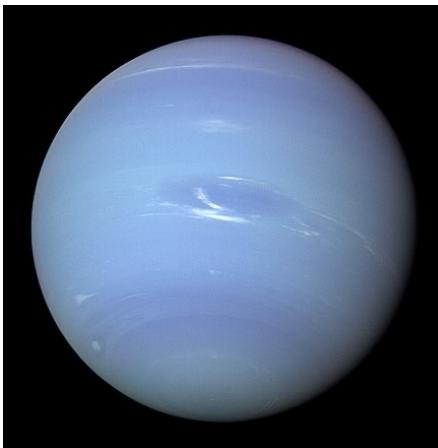
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Measurements of Mercury's orbit reveals  
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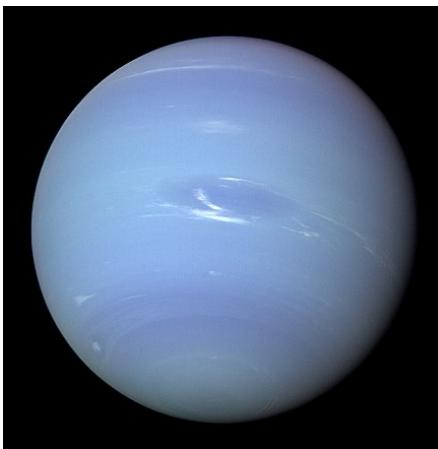
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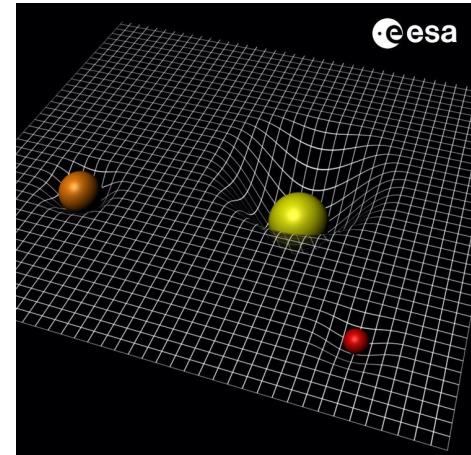
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Le Verrier 1859, Einstein 1915

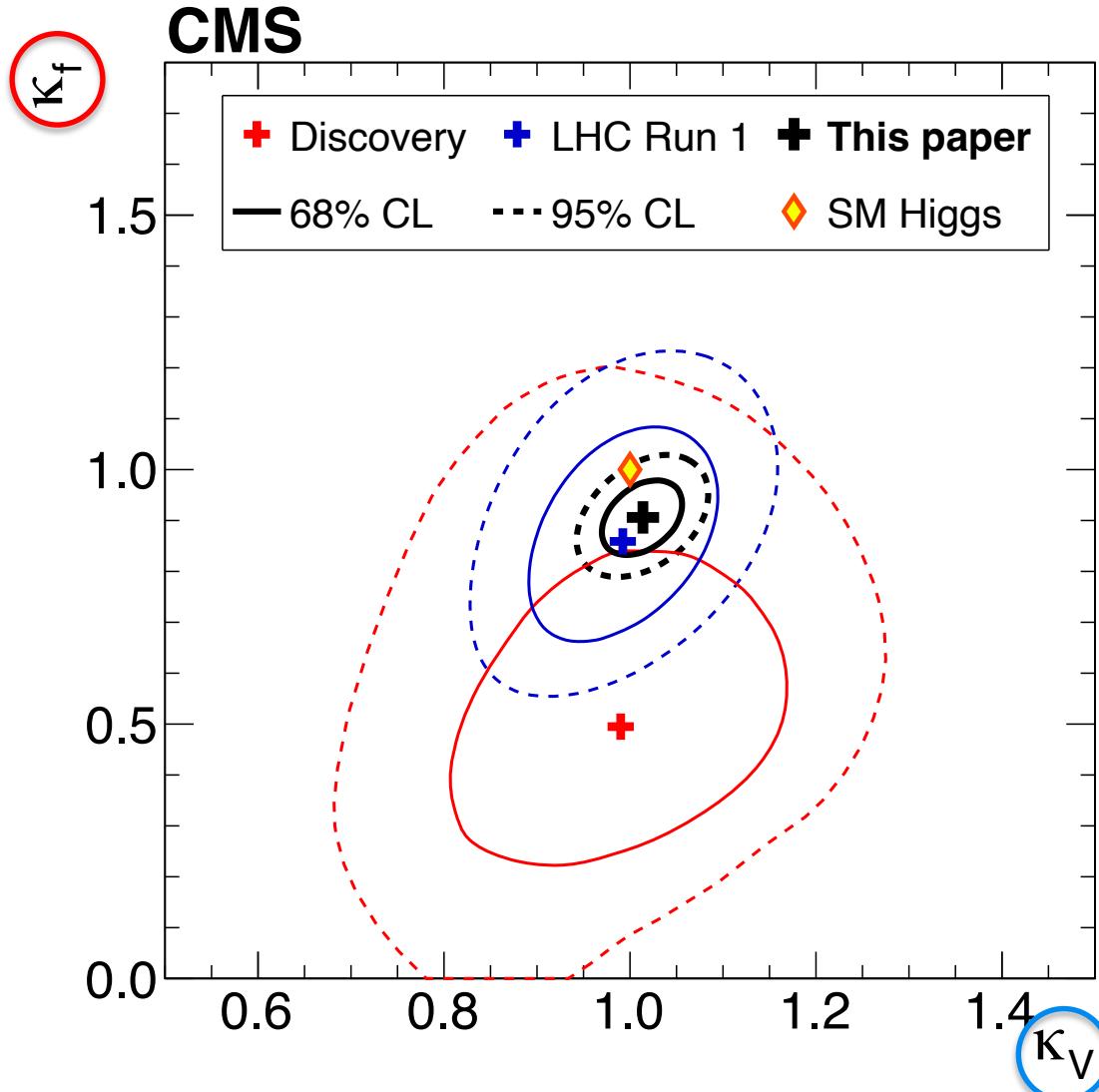


General relativity solves  
anomaly and changes view  
of space & time (1915)

Slide heavily inspired by J. Liu (Cambridge)

... History has a habit of repeating itself ...

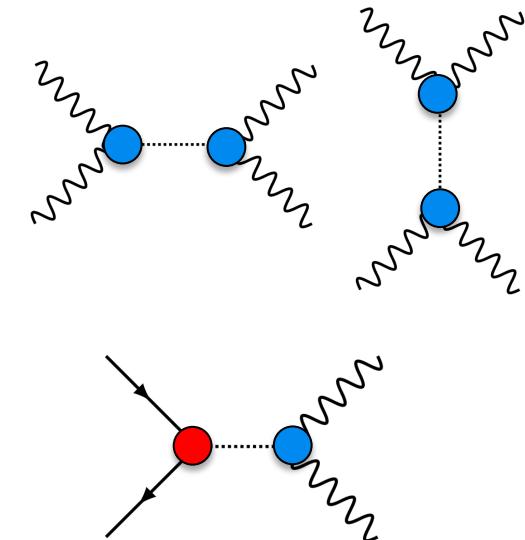
# Higgs couplings for BSM physics



In the **SM**, the Higgs regulates longitudinal WW scattering at high energies

$$W_L^+ W_L^- \rightarrow W_L^+ W_L^- \sim \frac{g^2}{4m_W^2} (s+t) (1 - \kappa_V^2)$$

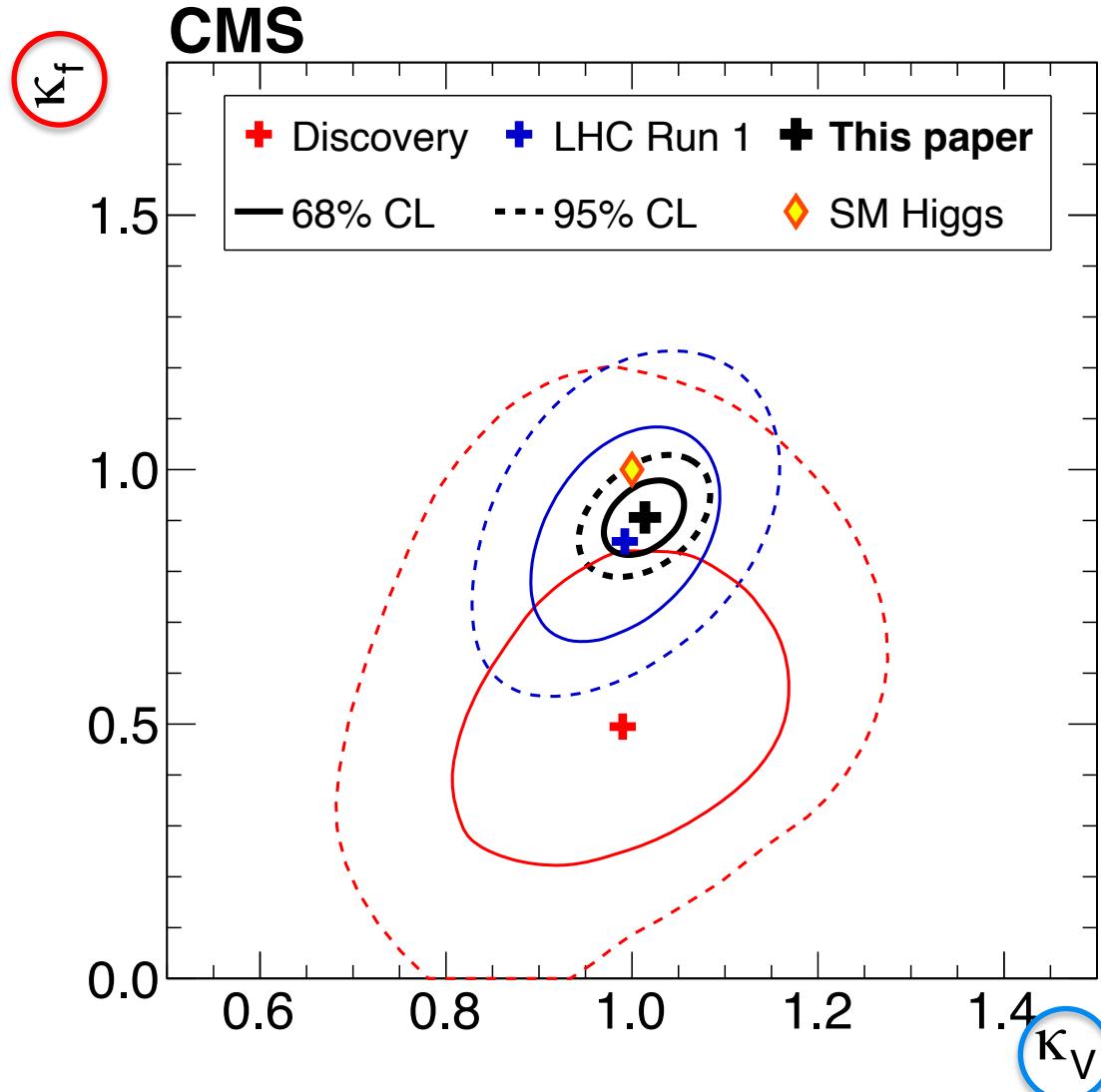
$$\psi\bar{\psi} \rightarrow W_L^+ W_L^- \sim \frac{m_\psi \sqrt{s}}{v^2} (1 - \kappa_F \kappa_V)$$



If couplings to vector bosons and fermions are SM-like  
Scattering amplitudes don't diverge

→ Measuring these couplings is a **strict test of SM** at higher energies

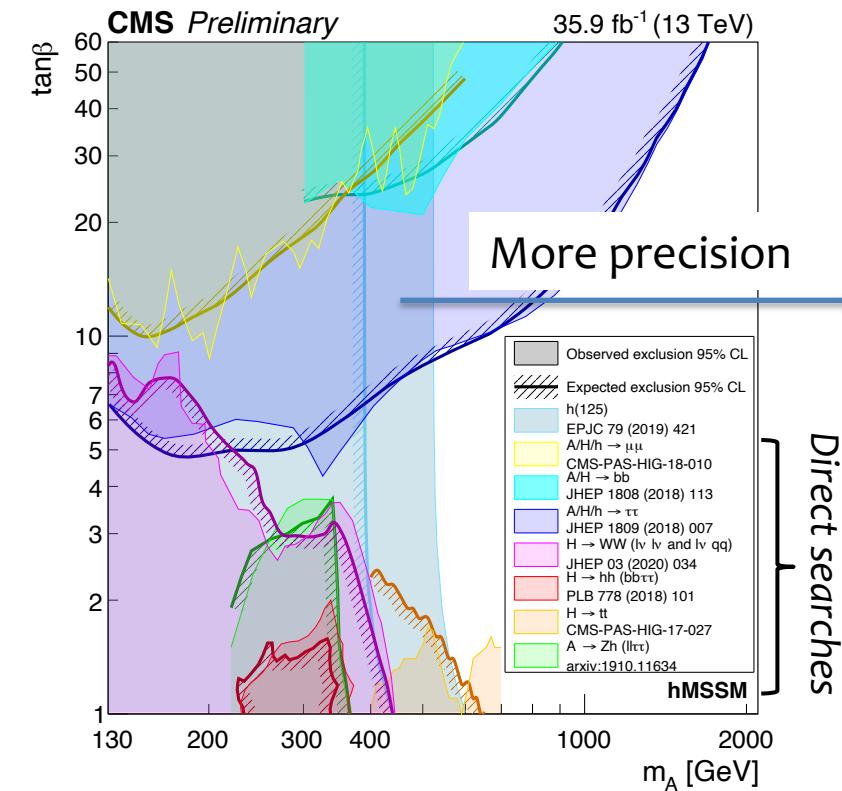
# Higgs couplings for BSM physics



\*hMSSM allows modified couplings to up/down type fermion ratio

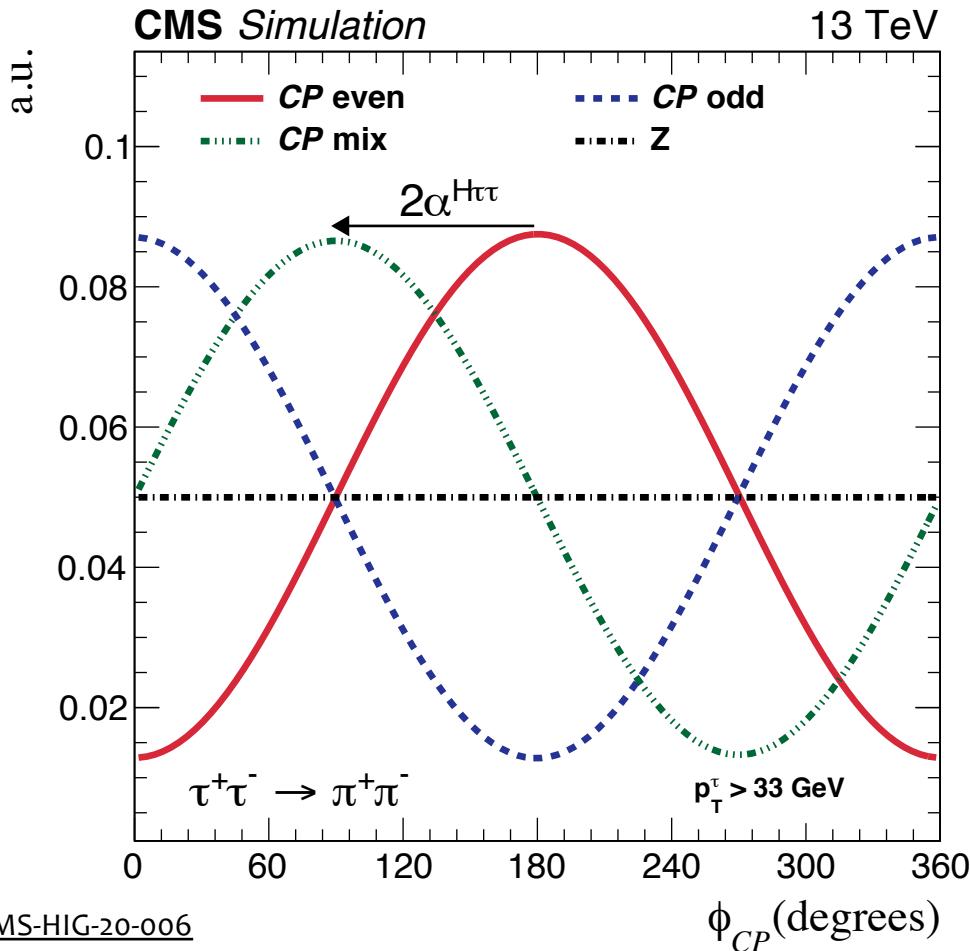
In extended Higgs sectors (e.g two 2HDM), couplings to vector bosons and fermions can be modified from SM

- Measuring these couplings is a **direct probe of extended Higgs sector models**
- **Complementary approach to direct searches\*** for additional Higgs bosons

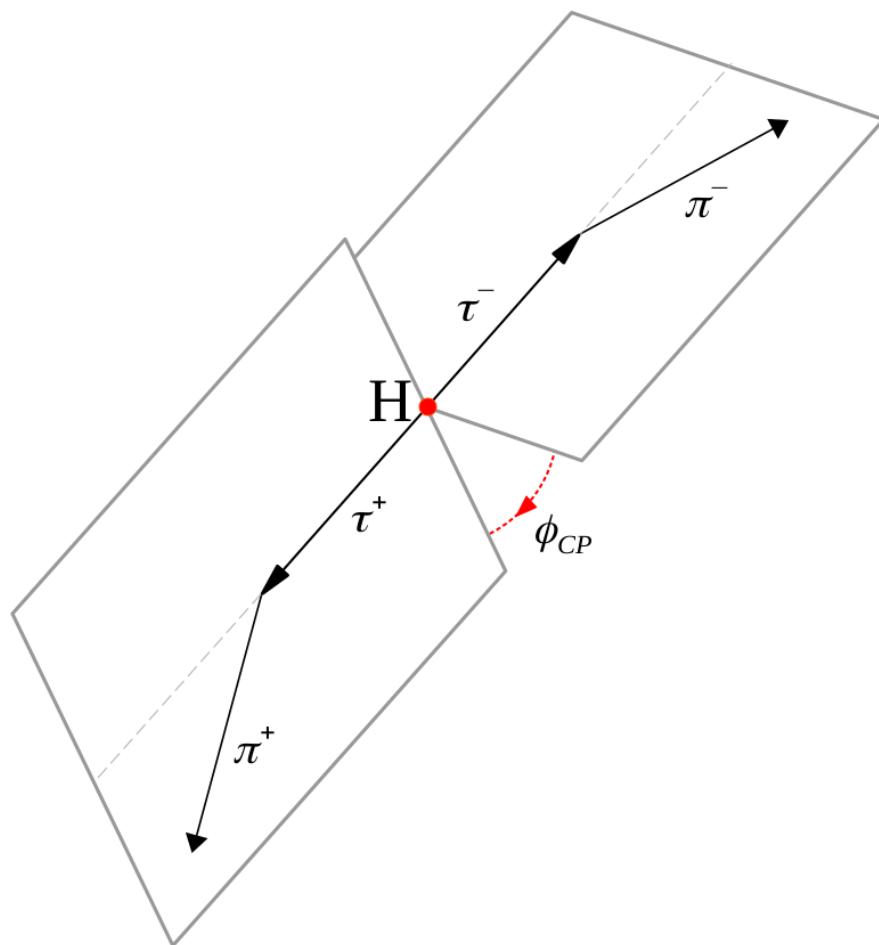


# Higgs couplings for BSM physics

Measure  $H \rightarrow \tau\tau$  decays differentially in  $\Phi_{CP}$  to access potential **CP-odd** contributions to  $H\text{-}\tau$  coupling



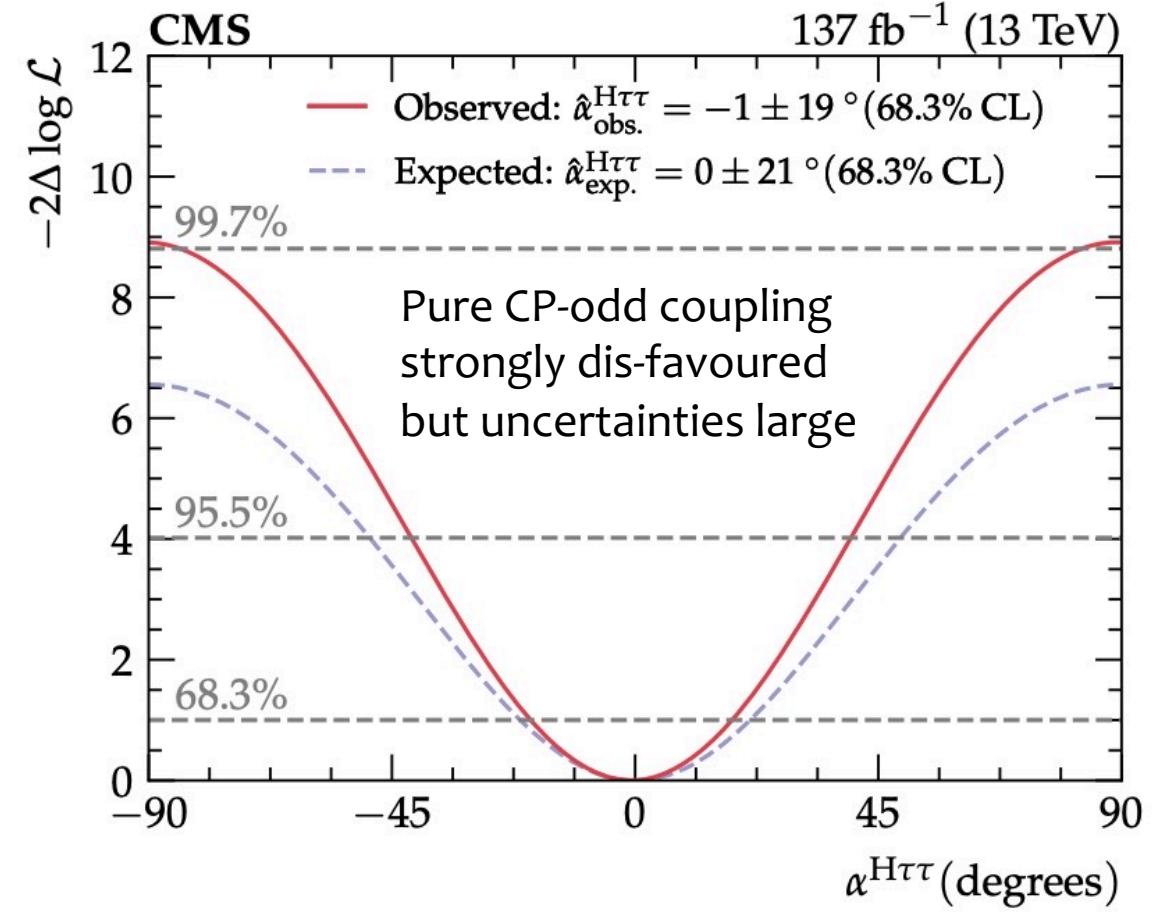
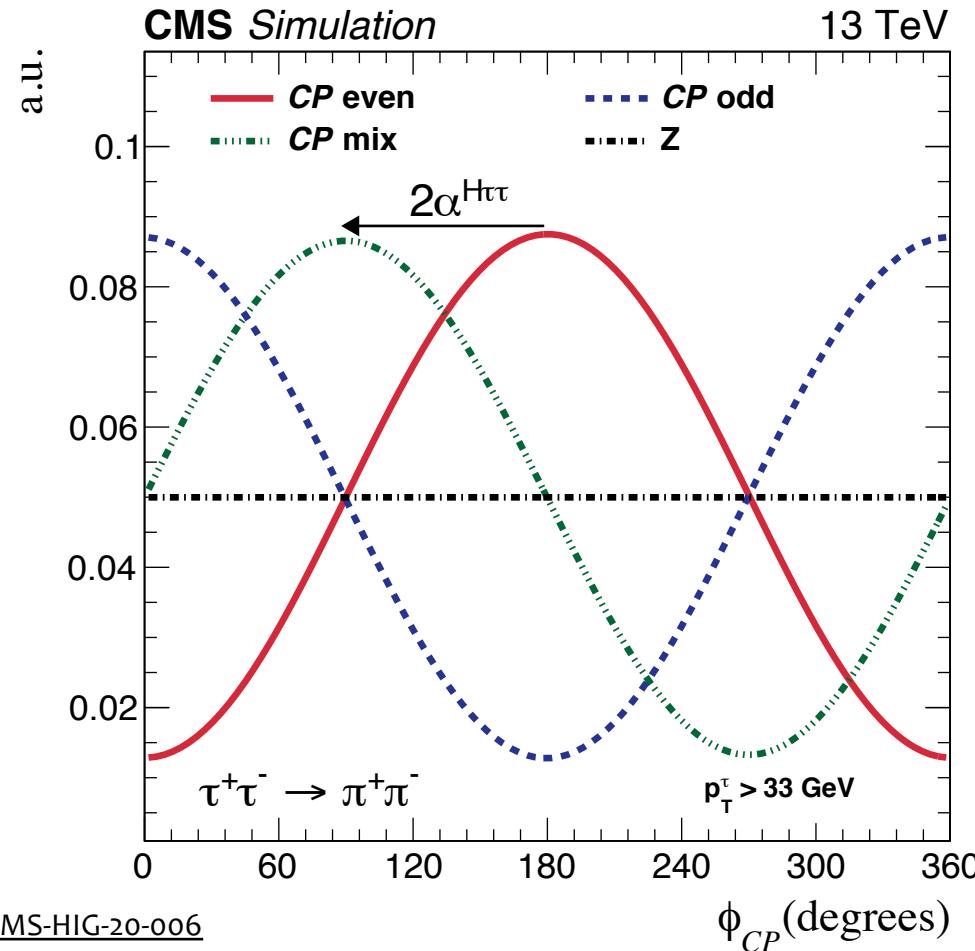
$$\mathcal{L}_Y = -\frac{m_\tau}{v} H (\kappa_\tau \bar{\tau} \tau + \tilde{\kappa}_\tau \bar{\tau} i \gamma_5 \tau)$$



# Higgs couplings for BSM physics

Measure  $H \rightarrow \tau\tau$  decays differentially in  $\Phi_{CP}$  to access potential CP-odd contributions to H- $\tau$  coupling

$$\tan(\alpha^{H\tau\tau}) = \frac{\tilde{\kappa}_\tau}{\kappa_\tau}$$

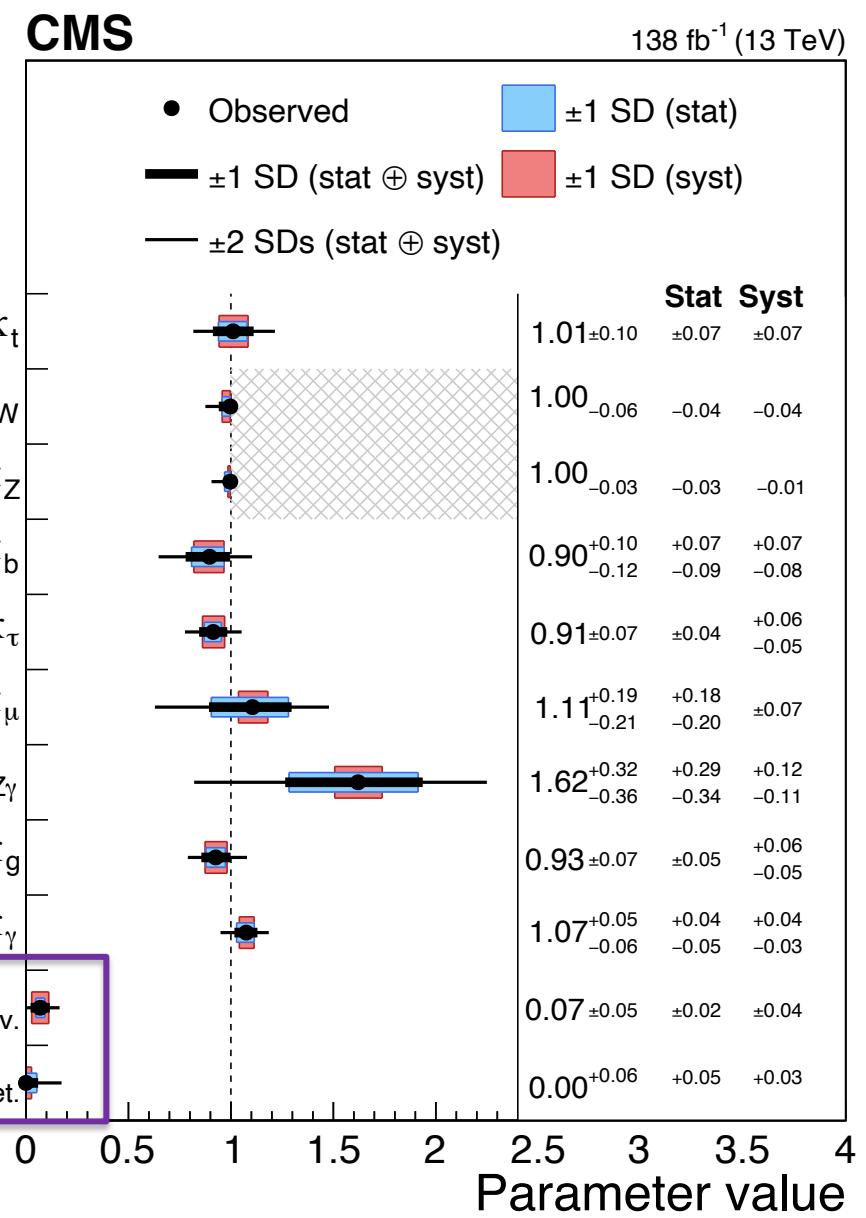
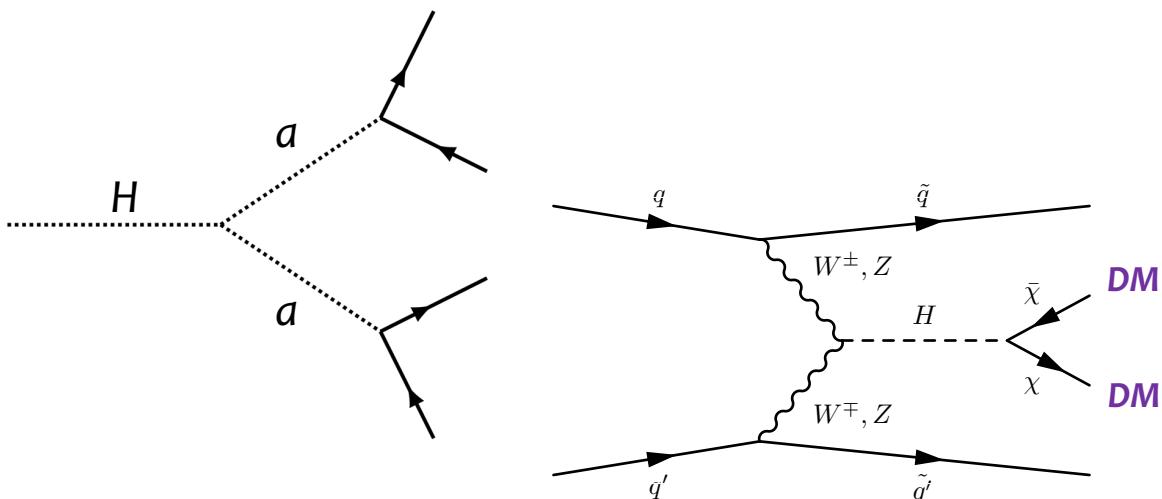


# Higgs as a portal to new physics

Current measurements of Higgs boson couplings allow for “missing” decay modes to light particles

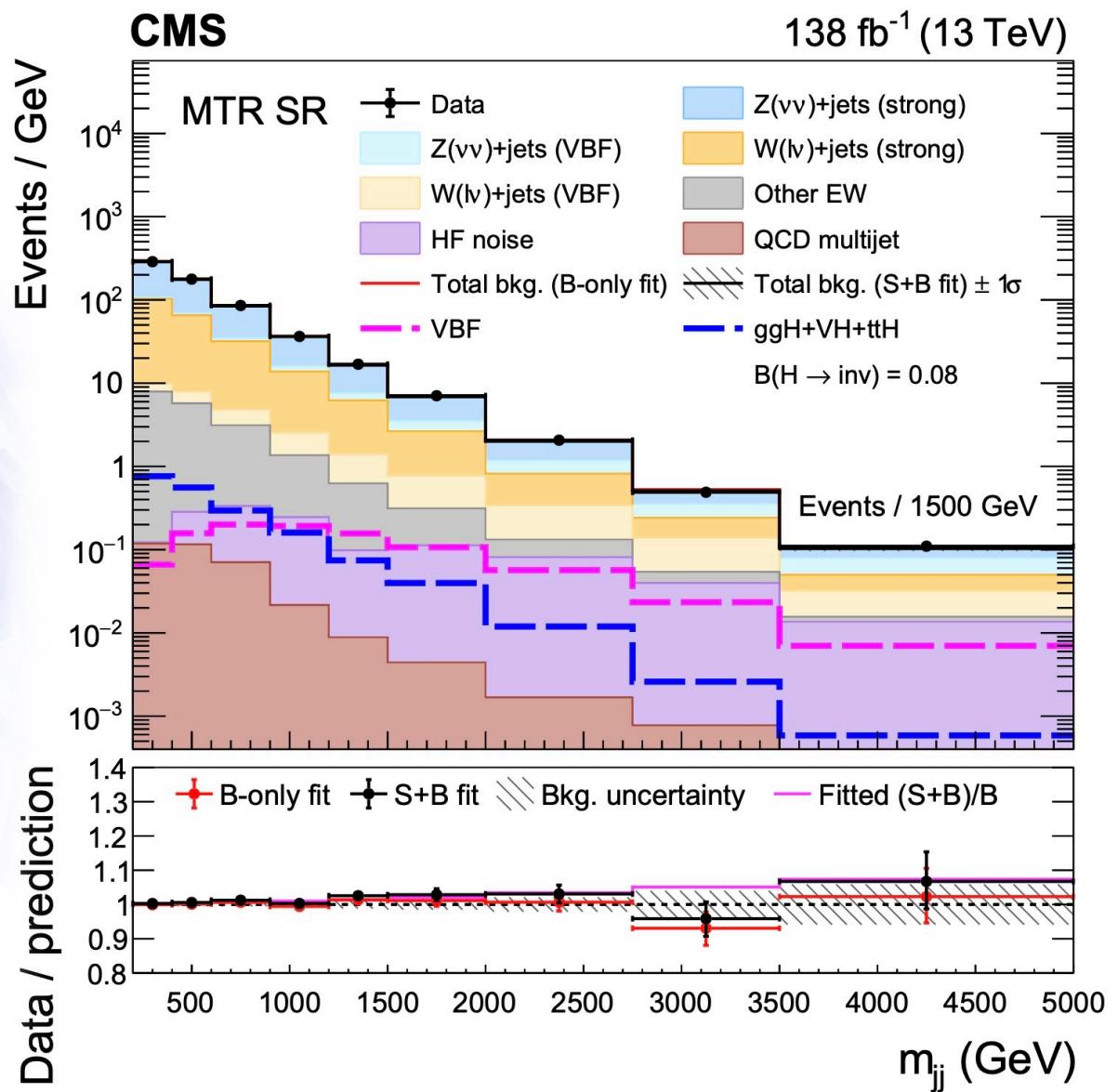
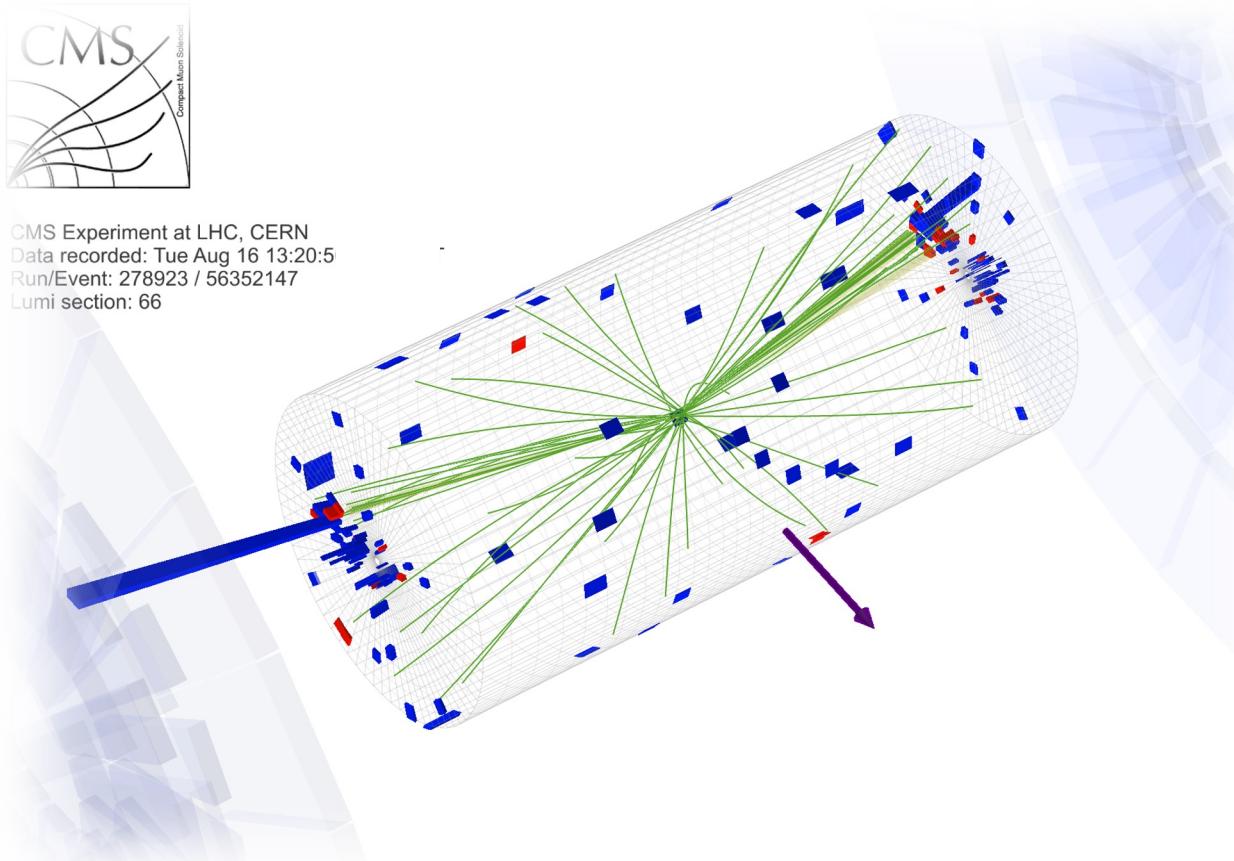
Higgs boson decays to **BSM particles** modify the total width through

- undetected modes (2HDM+s, nMSSM...)
- invisible particles** (Dark Matter)



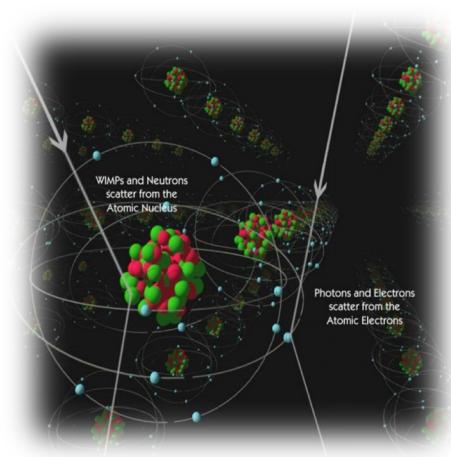
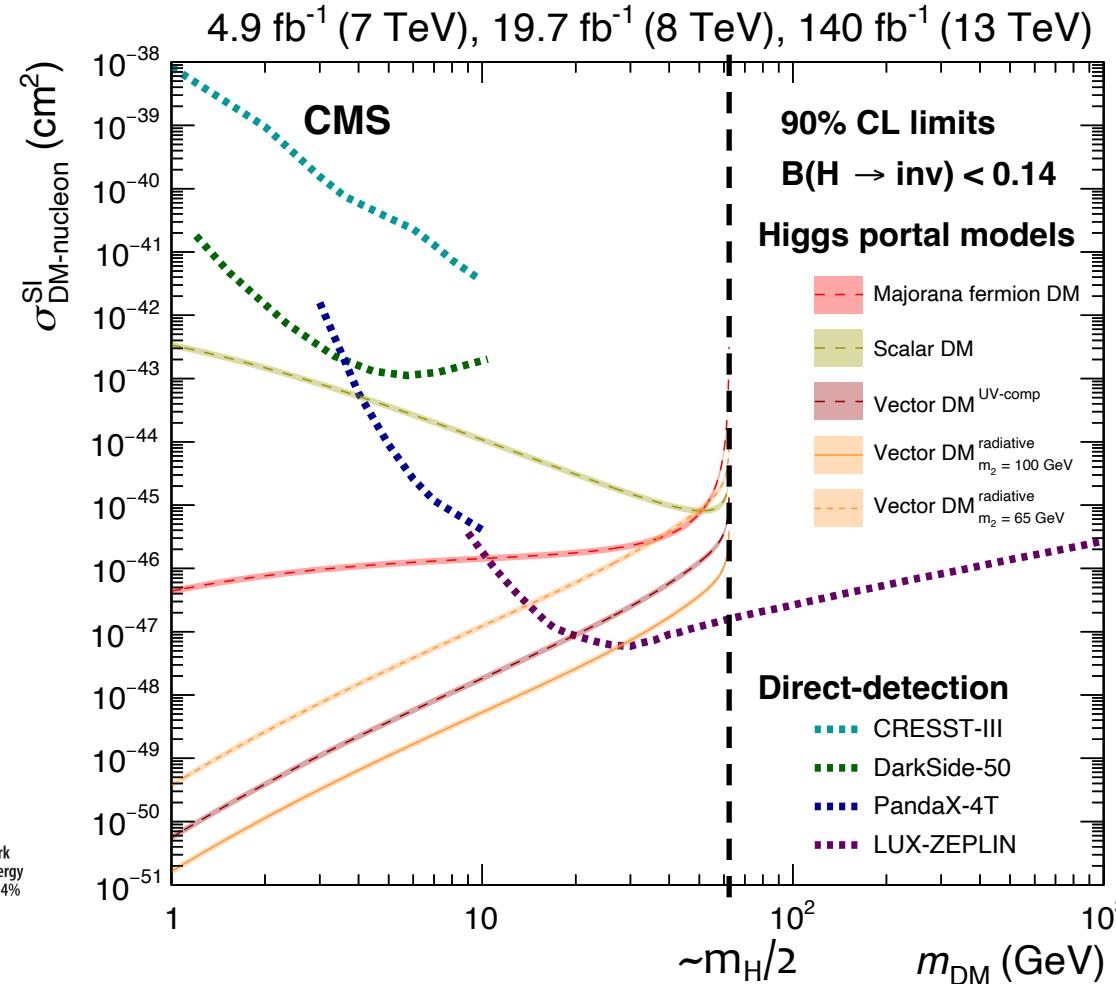
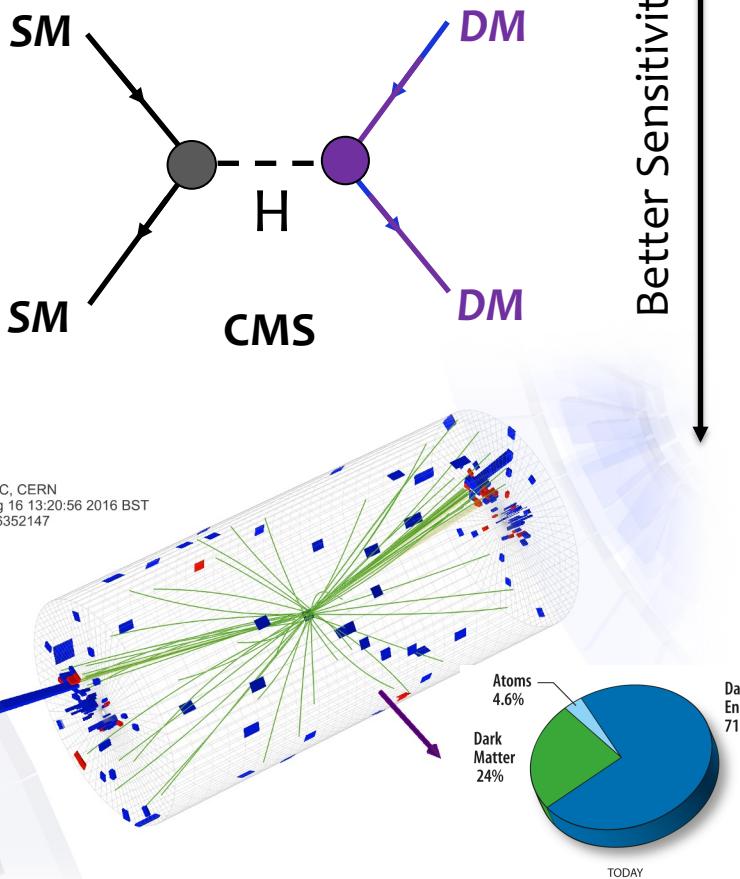
# Higgs as a portal to new physics

Invisible Higgs branching fraction measurements require very good understanding of energy resolution and SM background contributions

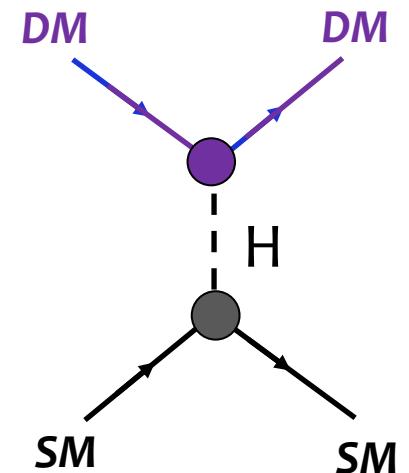


# Higgs as a portal to new physics

Invisible Higgs branching fraction measurements complementary to direct searches for Dark Matter!

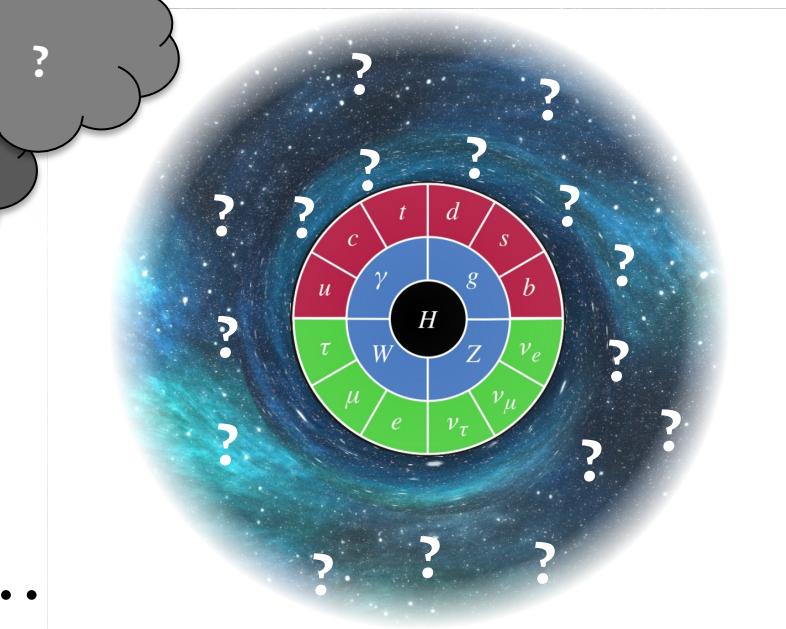
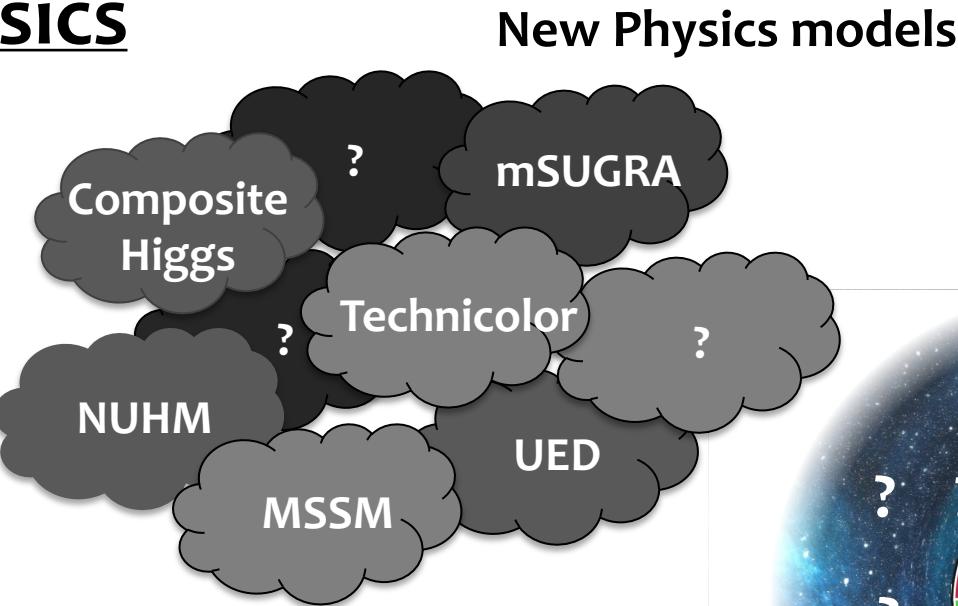
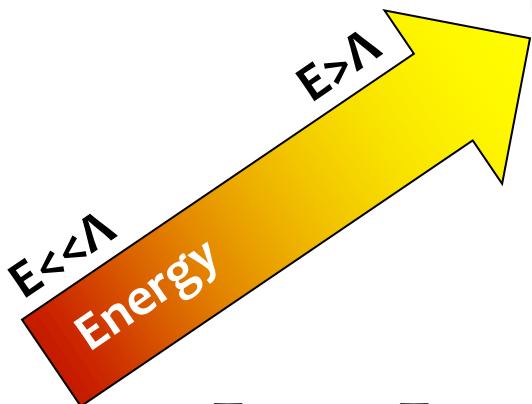
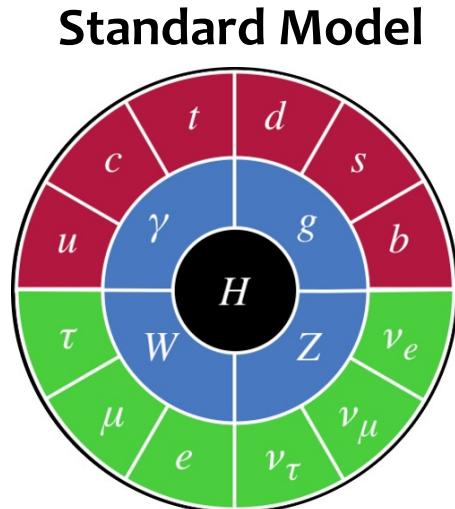


Direct DM  
detectors



# Higgs couplings as BSM physics

How to cope with large space  
of potential models for BSM  
physics?

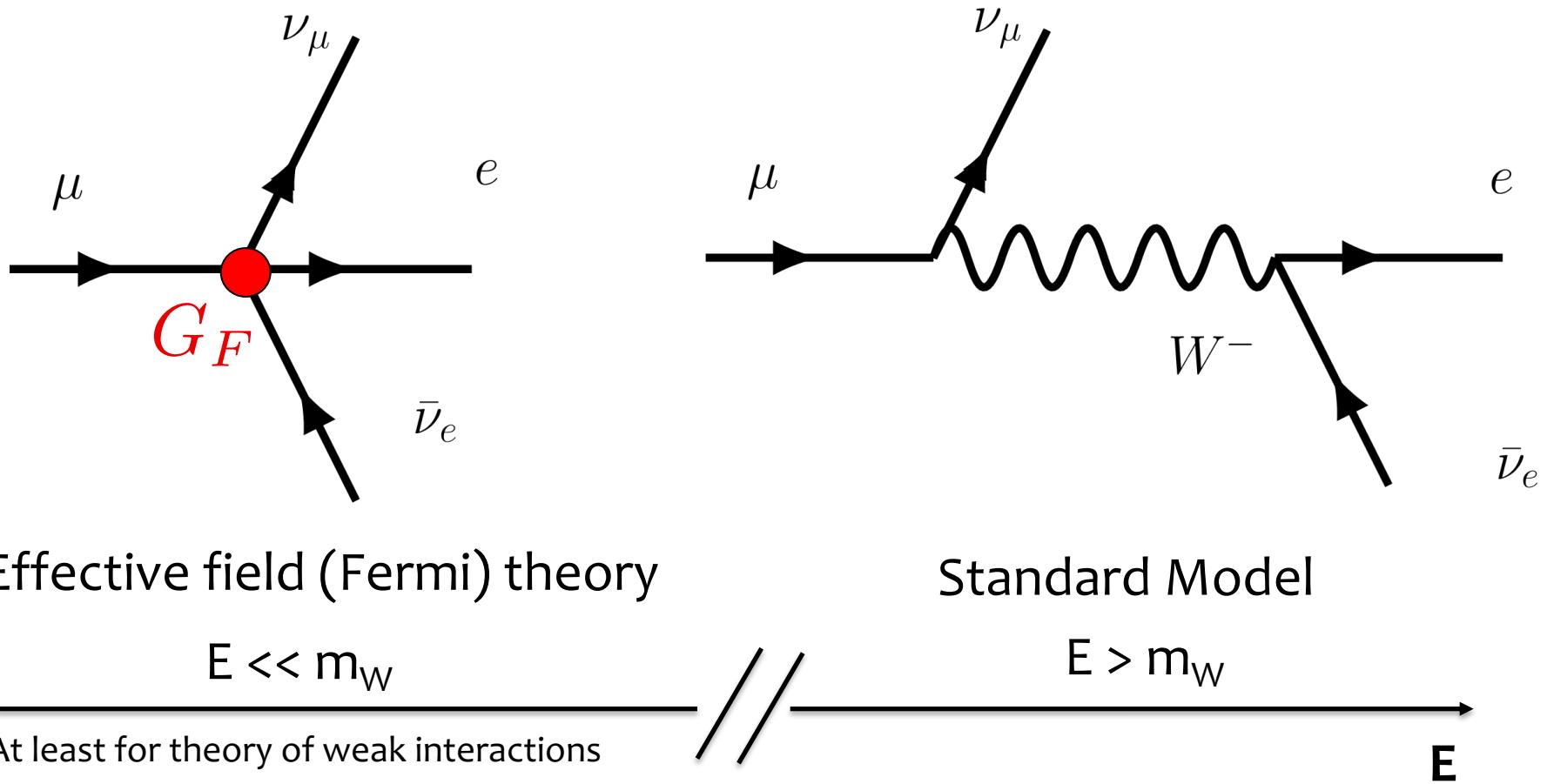


$$L = L_{SM} + \frac{1}{\Lambda} \sum_k \mathcal{O}_k + \dots$$

Effective Field Theories (EFT) allow to **systematically probe** space of new physics (NP) models  
→ Valid for **E below NP scale  $\Lambda$**   
→ Match NP models to EFT parameters to **constrain possible BSM scenarios**

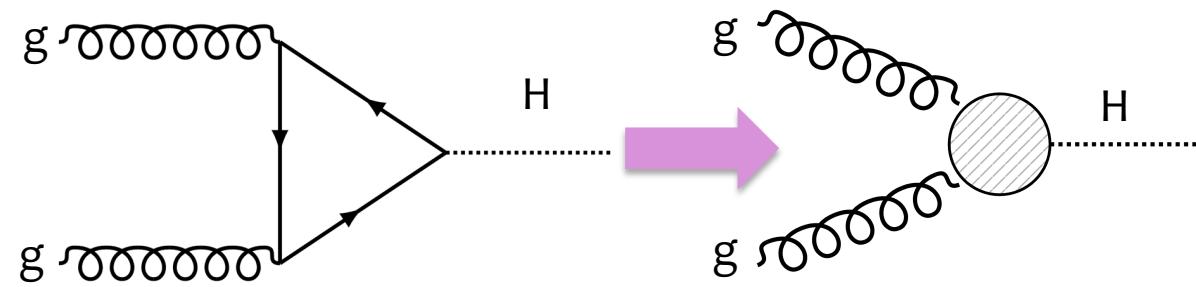
# Effective couplings

In Fermi theory for the muon decay, **low energy measurements are to constrain the SM parameters** → Fermi theory an **EFT** for the SM! \*



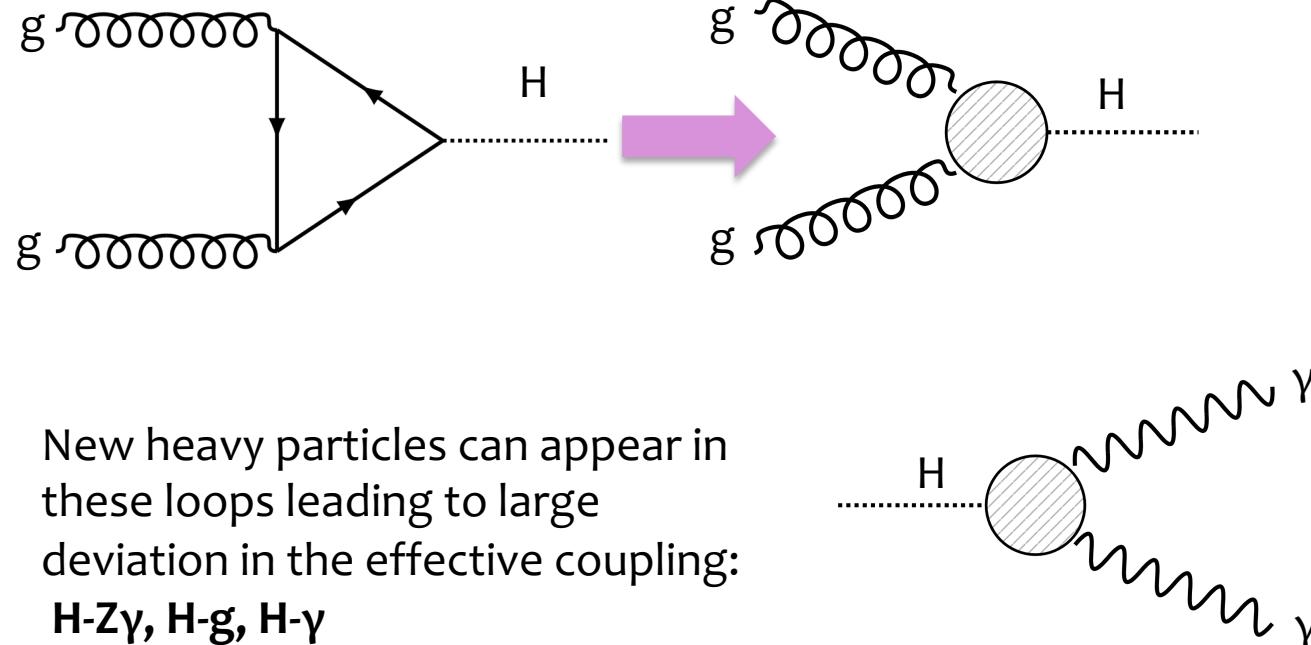
# Effective couplings

Higgs boson production and decay mechanisms that proceed by loops can be treated as **effective couplings**

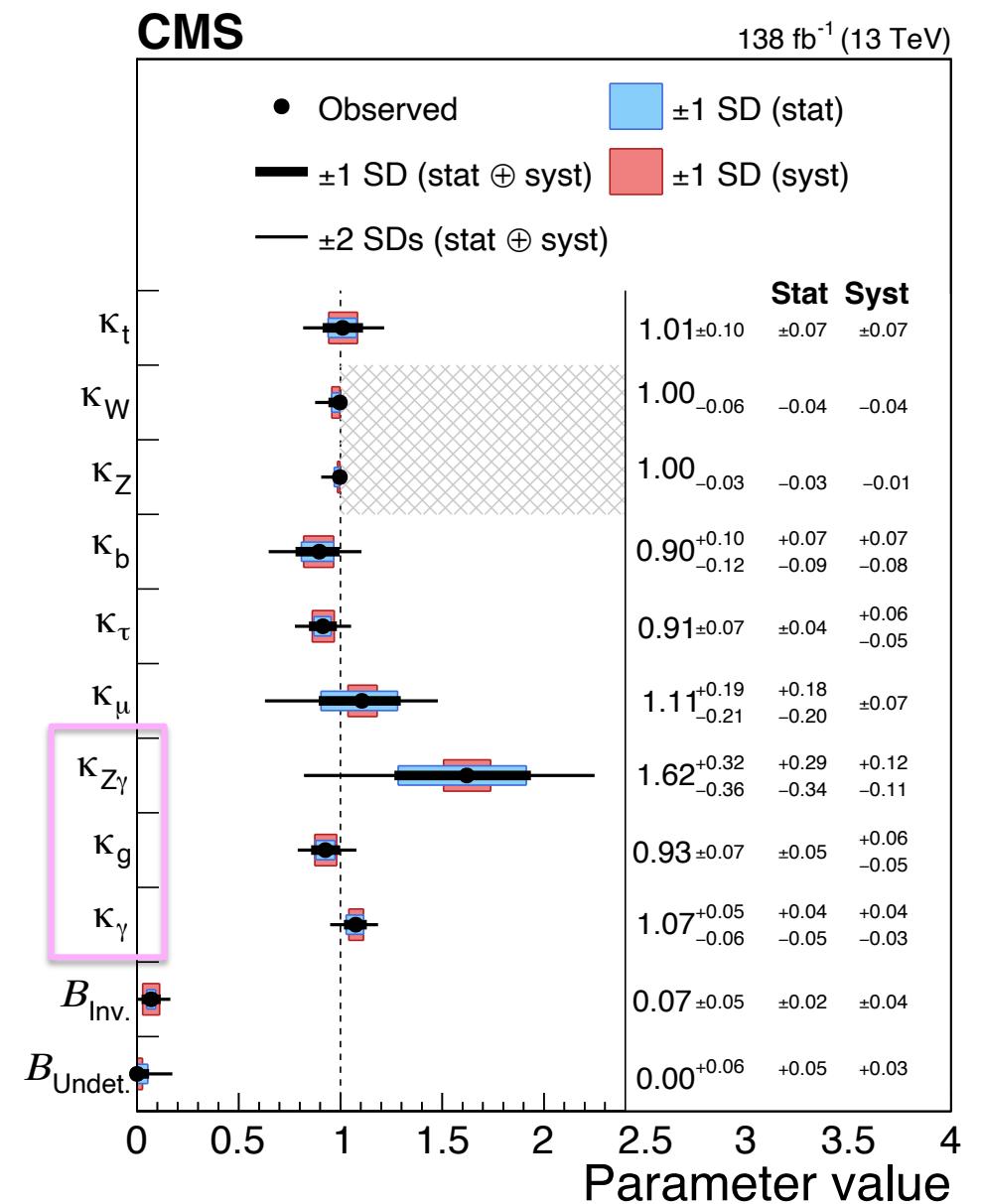


# Effective couplings

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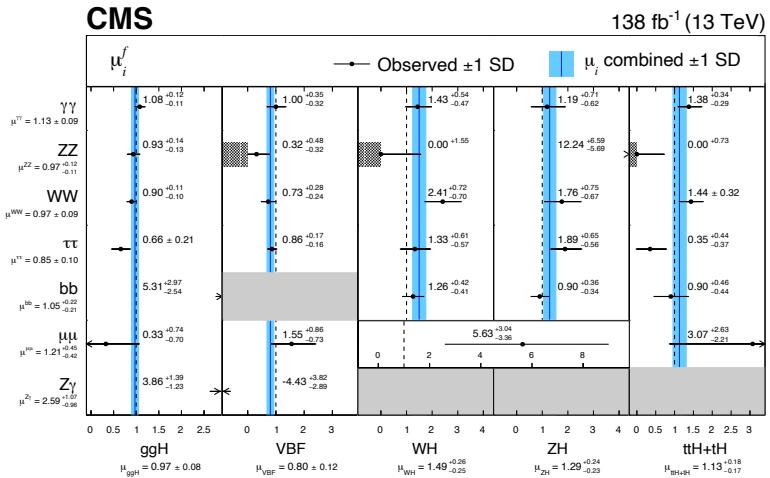


New heavy particles can appear in these loops leading to large deviation in the effective coupling:  
**H-Zγ, H-g, H-γ**



# Effective field theories

On-shell

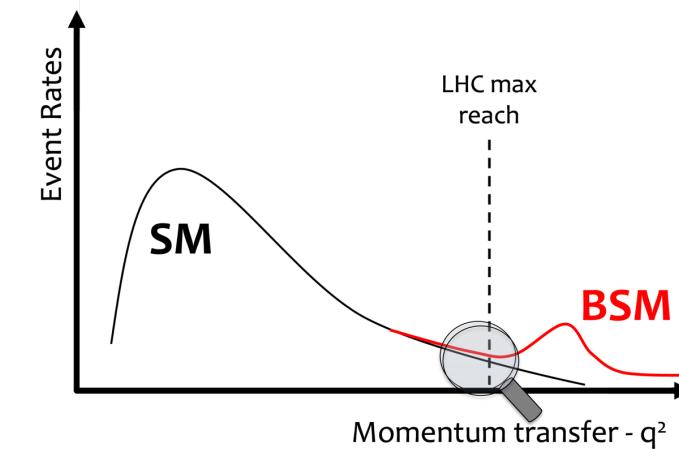


$$\delta \sim \left(\frac{v}{\Lambda}\right)^2$$

Inclusive  $\kappa$ : high-precision yields precision on new physics scale

$$\delta_\mu = 1\% \rightarrow \Lambda \sim 2.5 \text{ TeV}$$

Off-shell / large  $q^2$



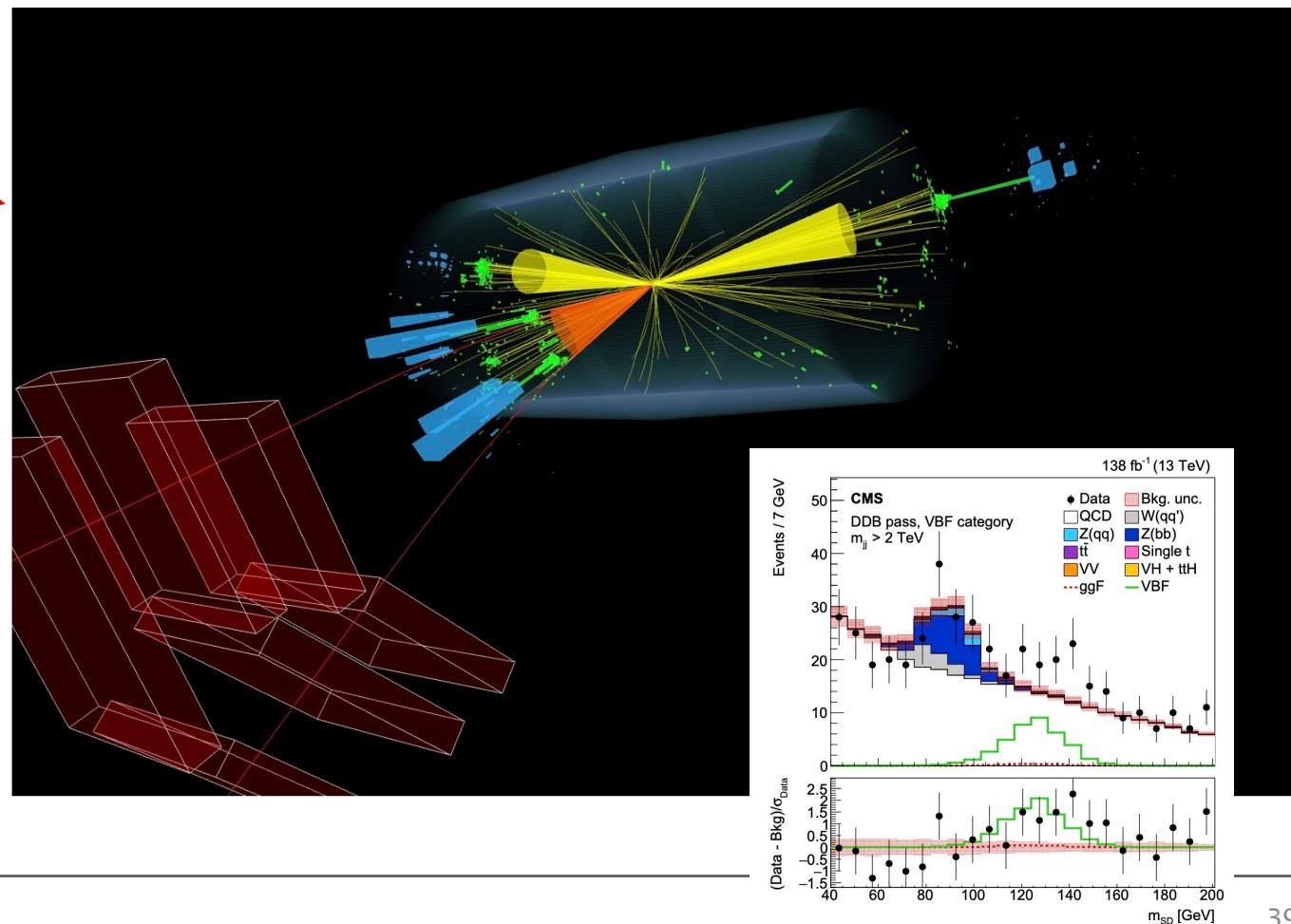
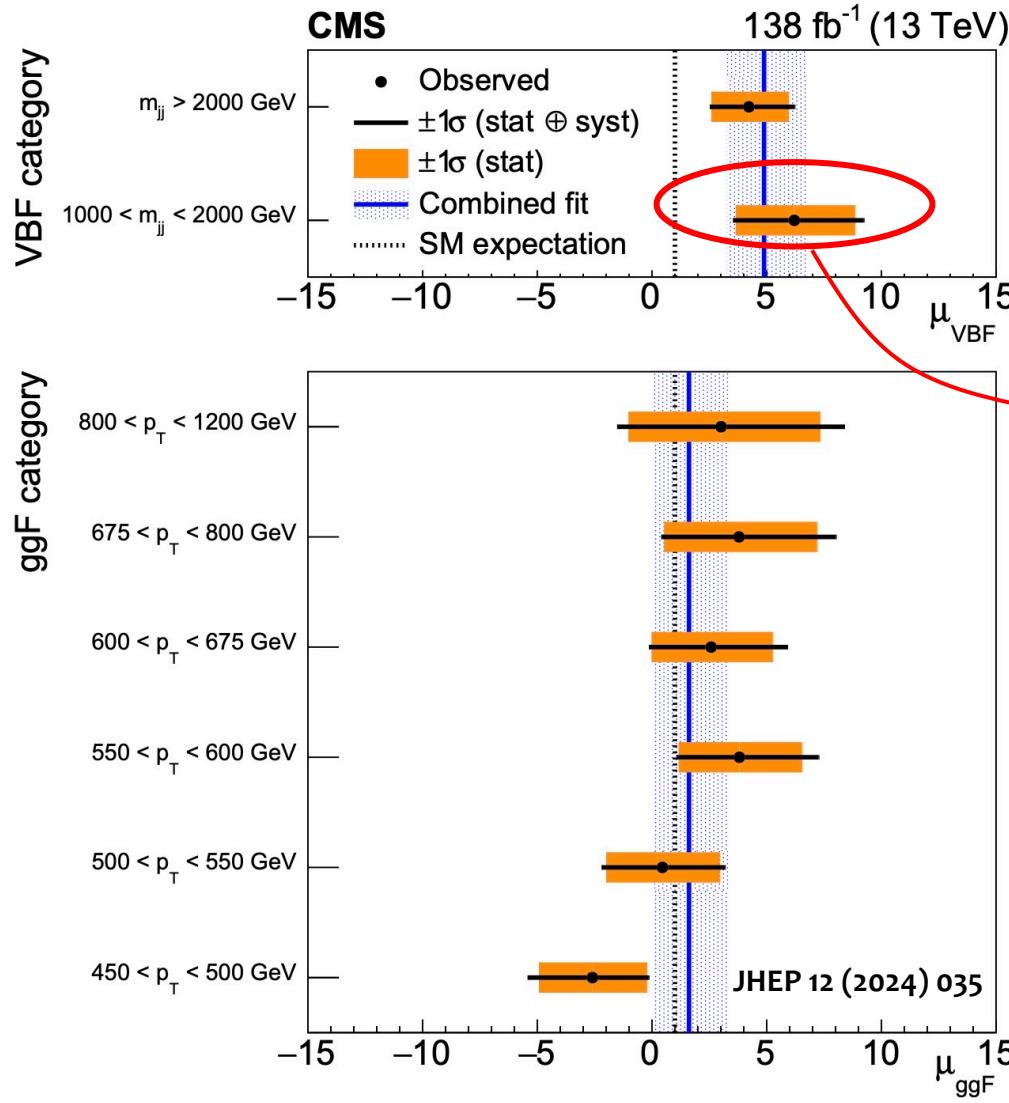
$$\delta \sim \left(\frac{q}{\Lambda}\right)^2$$

Differential: High momentum production sensitive to new physics

$$\delta_\sigma = 15\% (q=1 \text{ TeV}) \rightarrow \Lambda \sim 2.5 \text{ TeV}$$

# Pushing into the tails

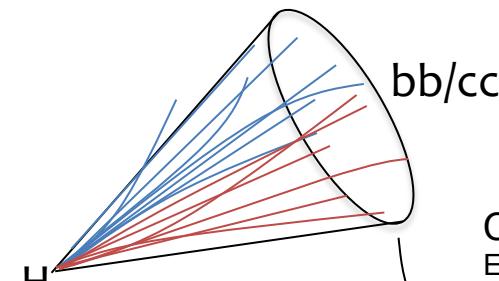
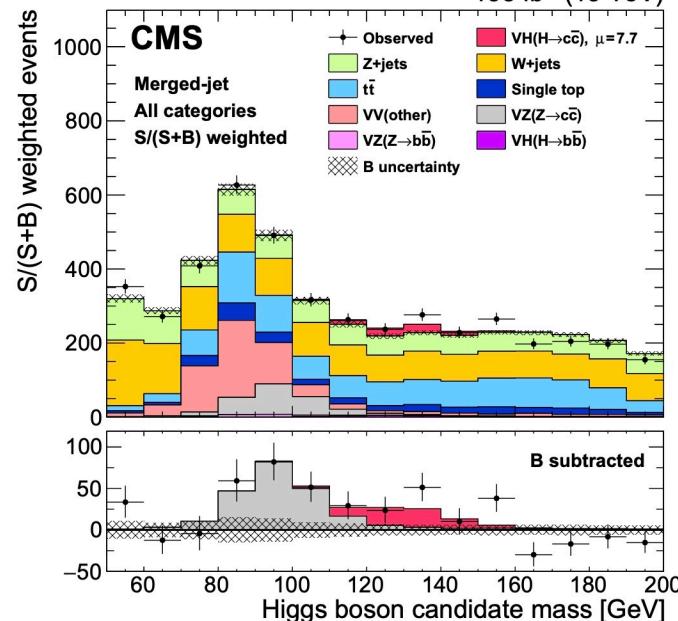
With **increasing datasets**, we can probe tails of distributions that could be more sensitive to BSM physics!



# Rarer decay modes

Concentrating on boosted topologies allows us to disentangle **rare signals** from very large backgrounds

$Hcc \sim 20x$  smaller than  $Hbb$ !



Combined  
Expected 7.60  
Observed 14.4

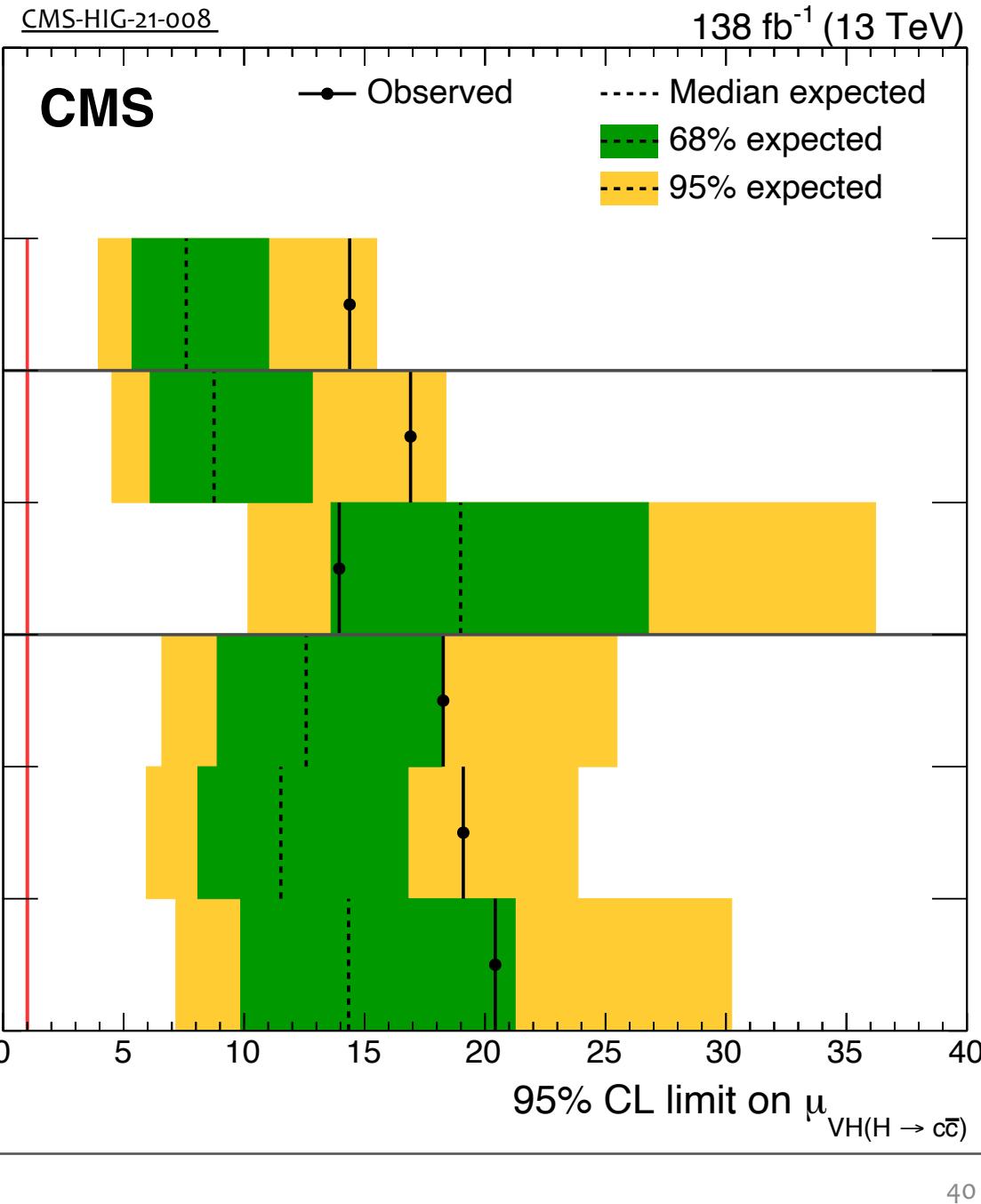
Merged-jet  
Expected 8.75  
Observed 16.9

Resolved-jet  
Expected 19.0  
Observed 13.9

0L  
Expected 12.6  
Observed 18.3

1L  
Expected 11.5  
Observed 19.1

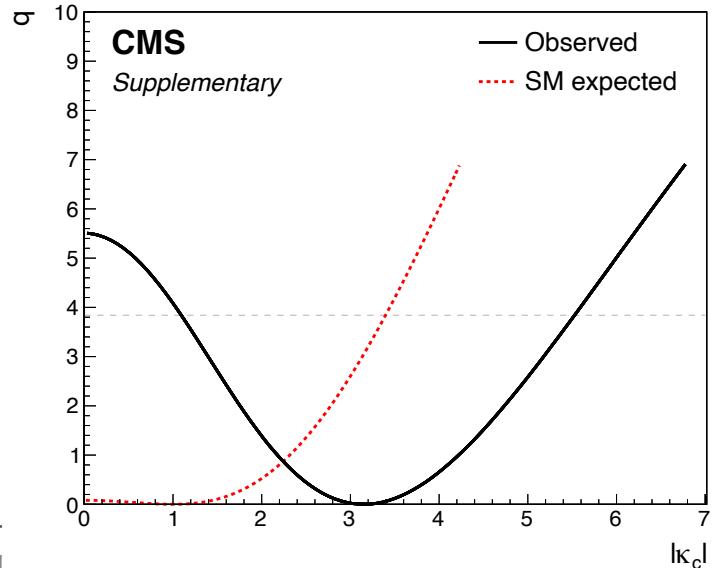
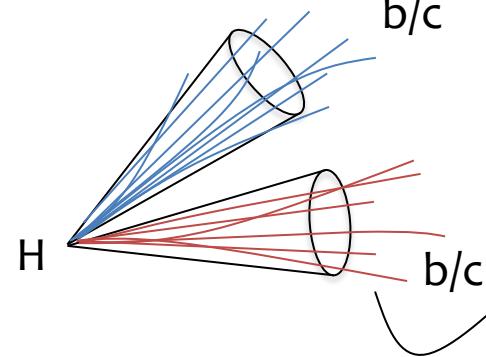
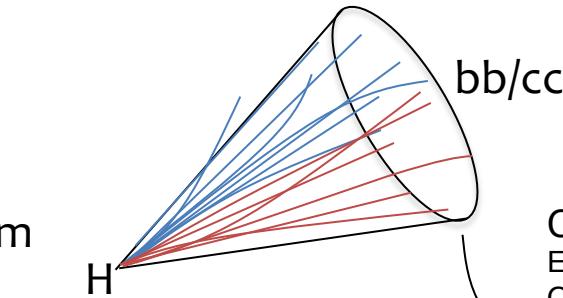
2L  
Expected 14.3  
Observed 20.4



# Rarer decay modes

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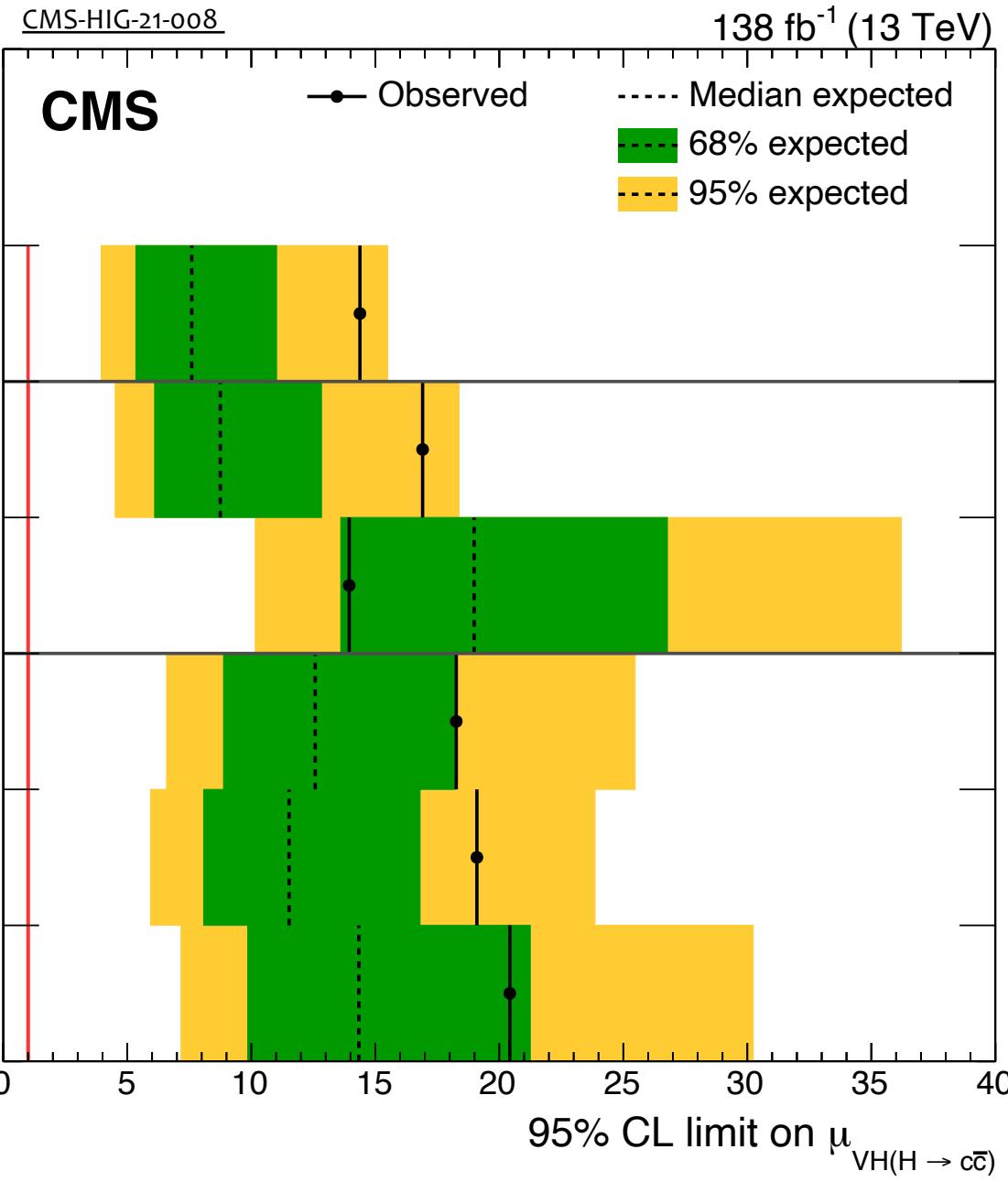
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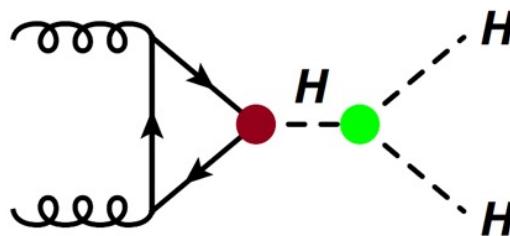


# Higgs boson self-coupling

Remember in the SM, the **Higgs potential** includes  $H^3$  terms

$$V(H) = \frac{1}{2}m_H^2 + \boxed{\lambda v H^3} + \frac{1}{4}\lambda H^4 + \text{const}$$

“self-coupling” generates  
**Higgs-Higgs** interactions



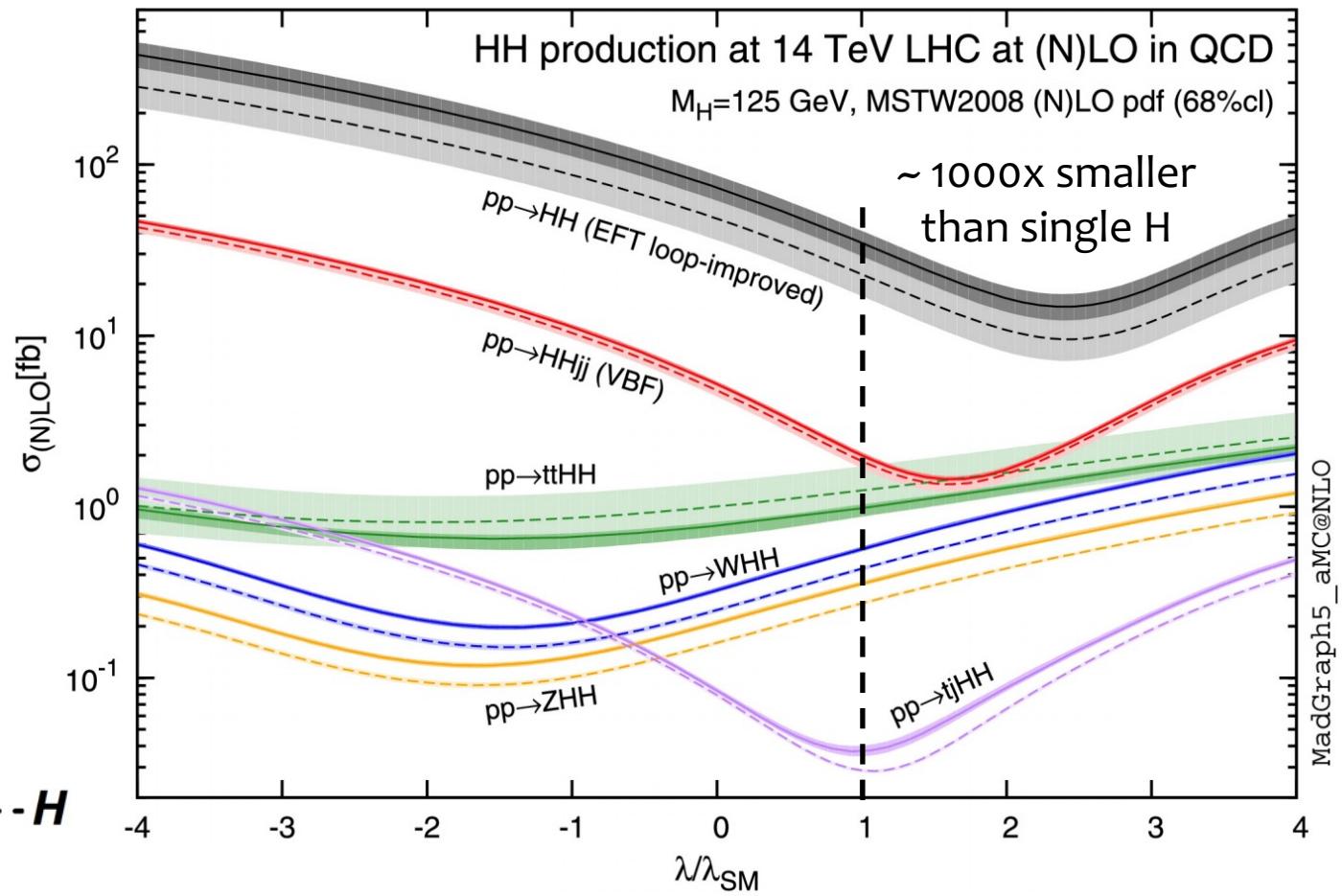
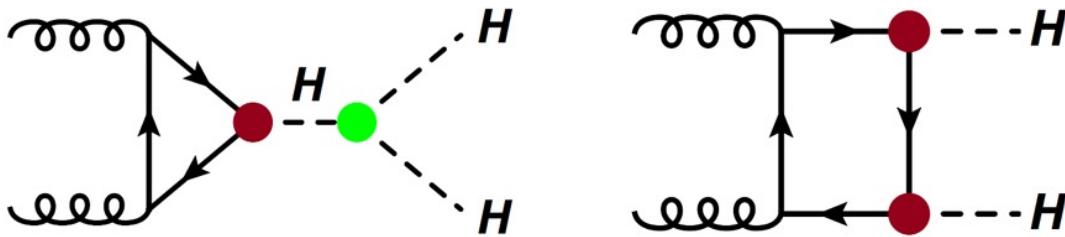
→ Direct searches for **Double Higgs ( $HH$ )** production to constrain the Higgs boson self-coupling!

# Higgs boson self-coupling

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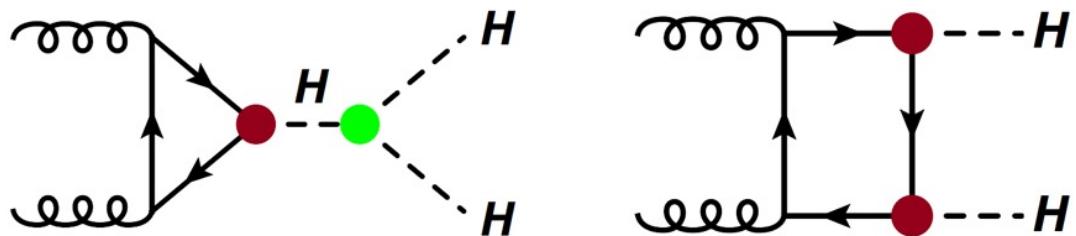
Interference with **other SM HH** diagrams makes searches for HH extremely challenging!

# Higgs boson self-coupling

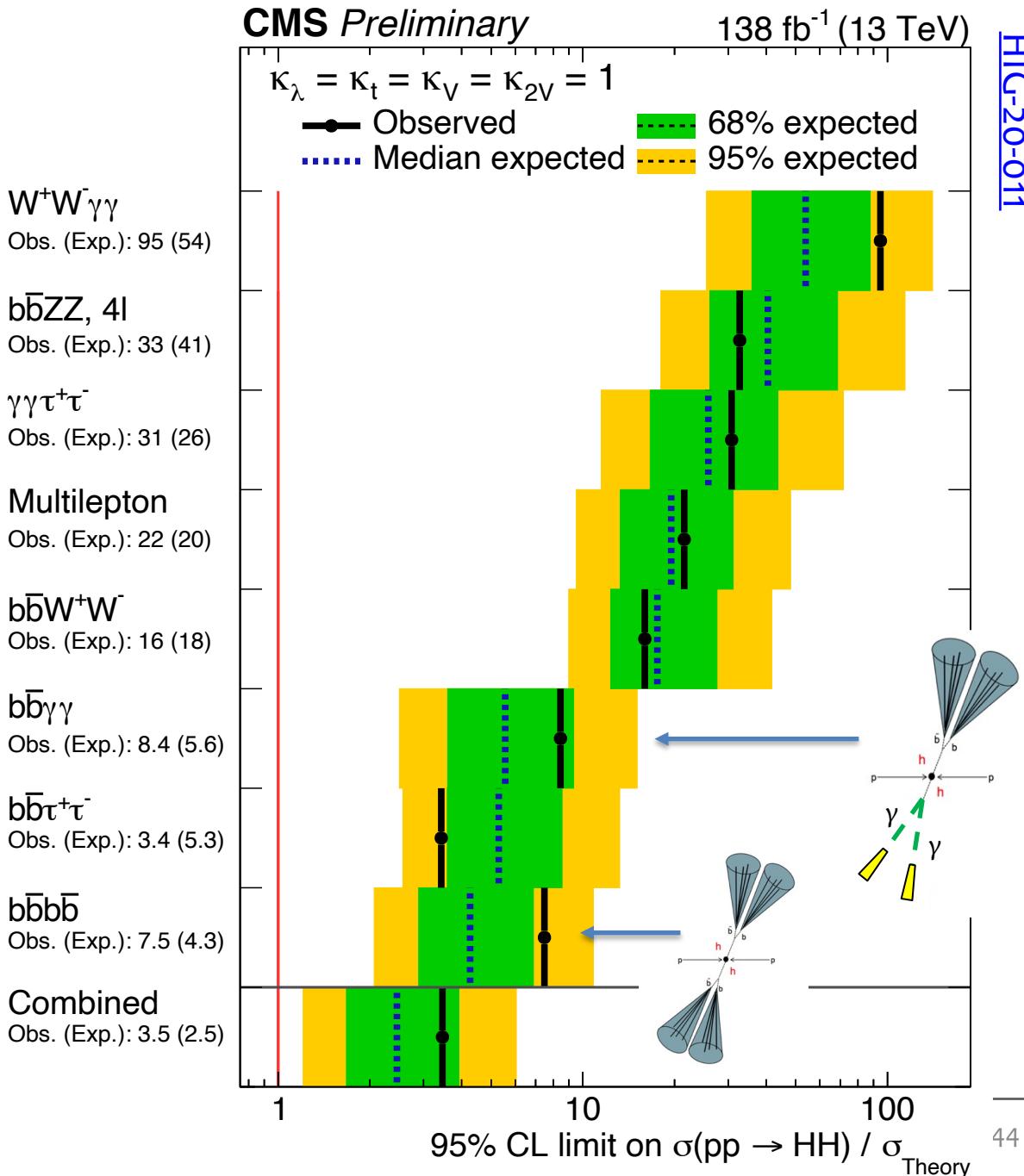
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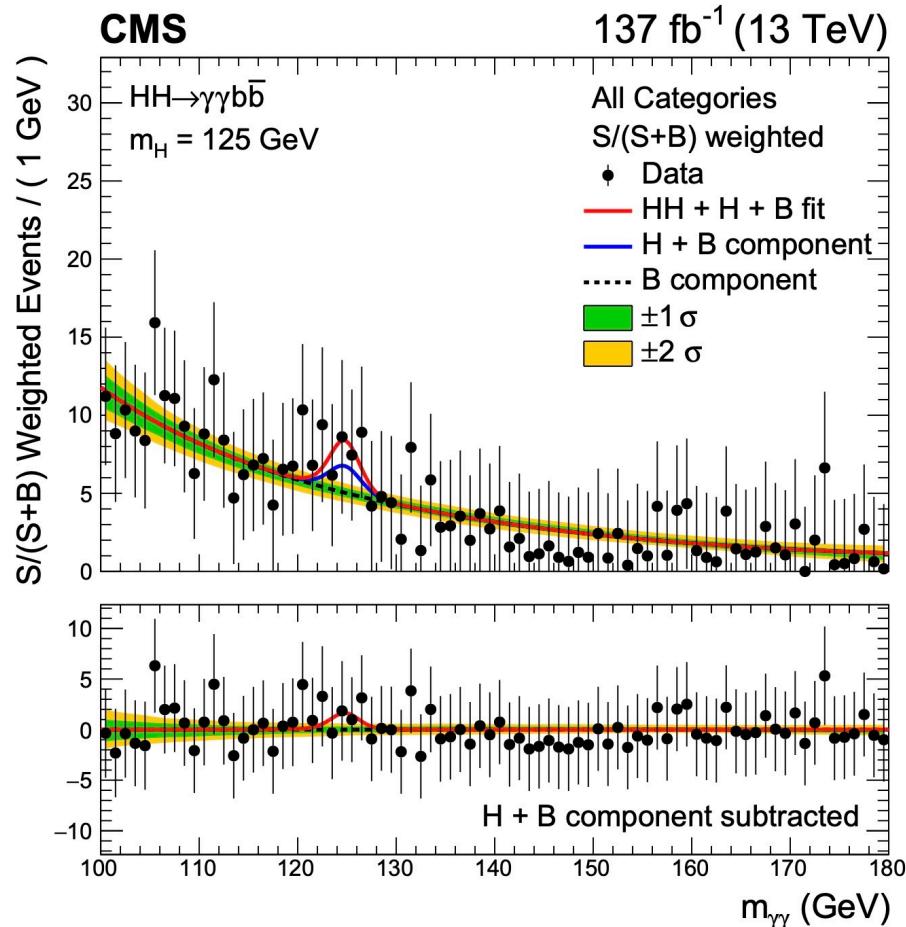
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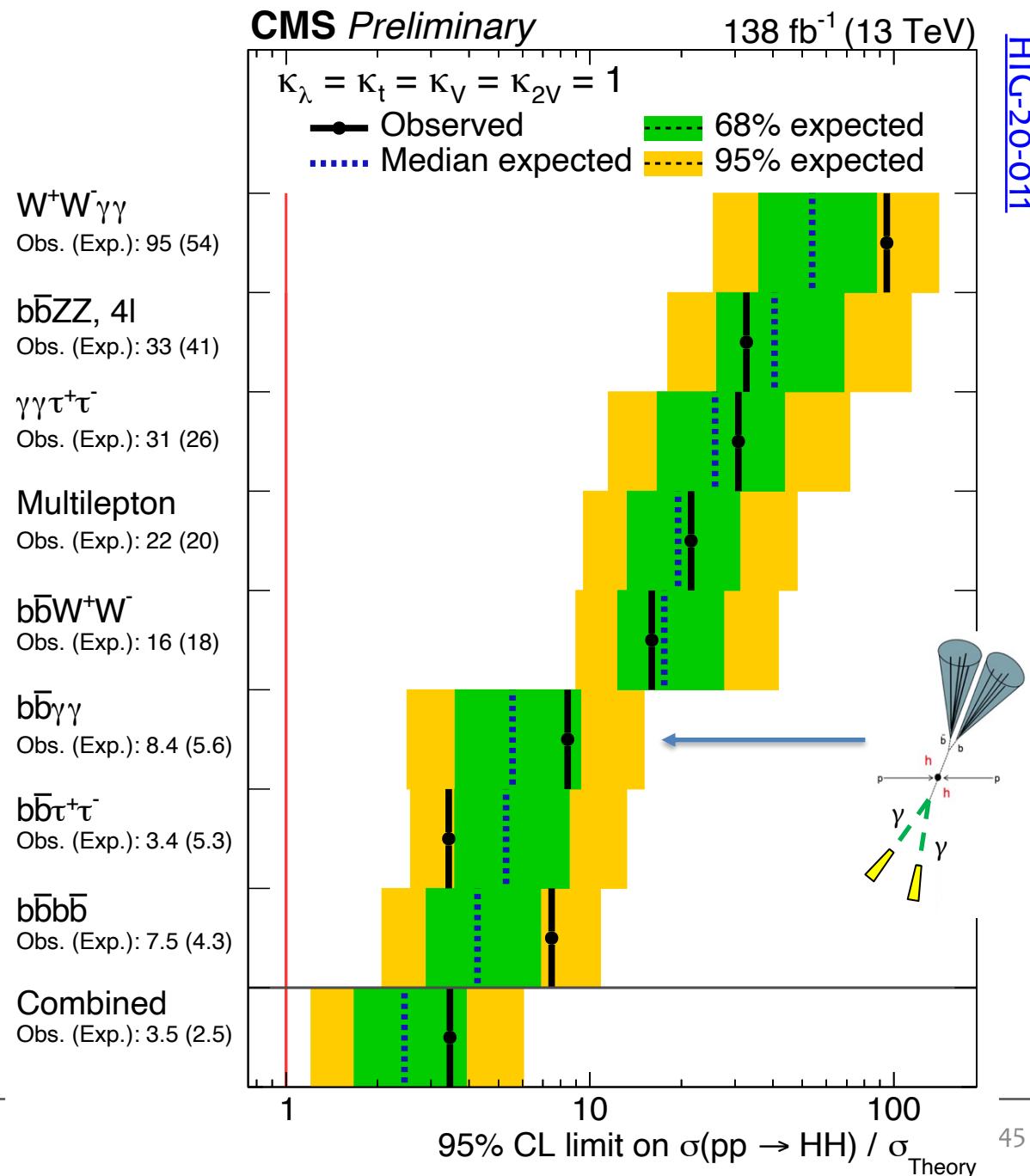
Combinations of **multiple search channels** just as important for 2xHiggs compared to single Higgs



# Higgs boson self-coupling

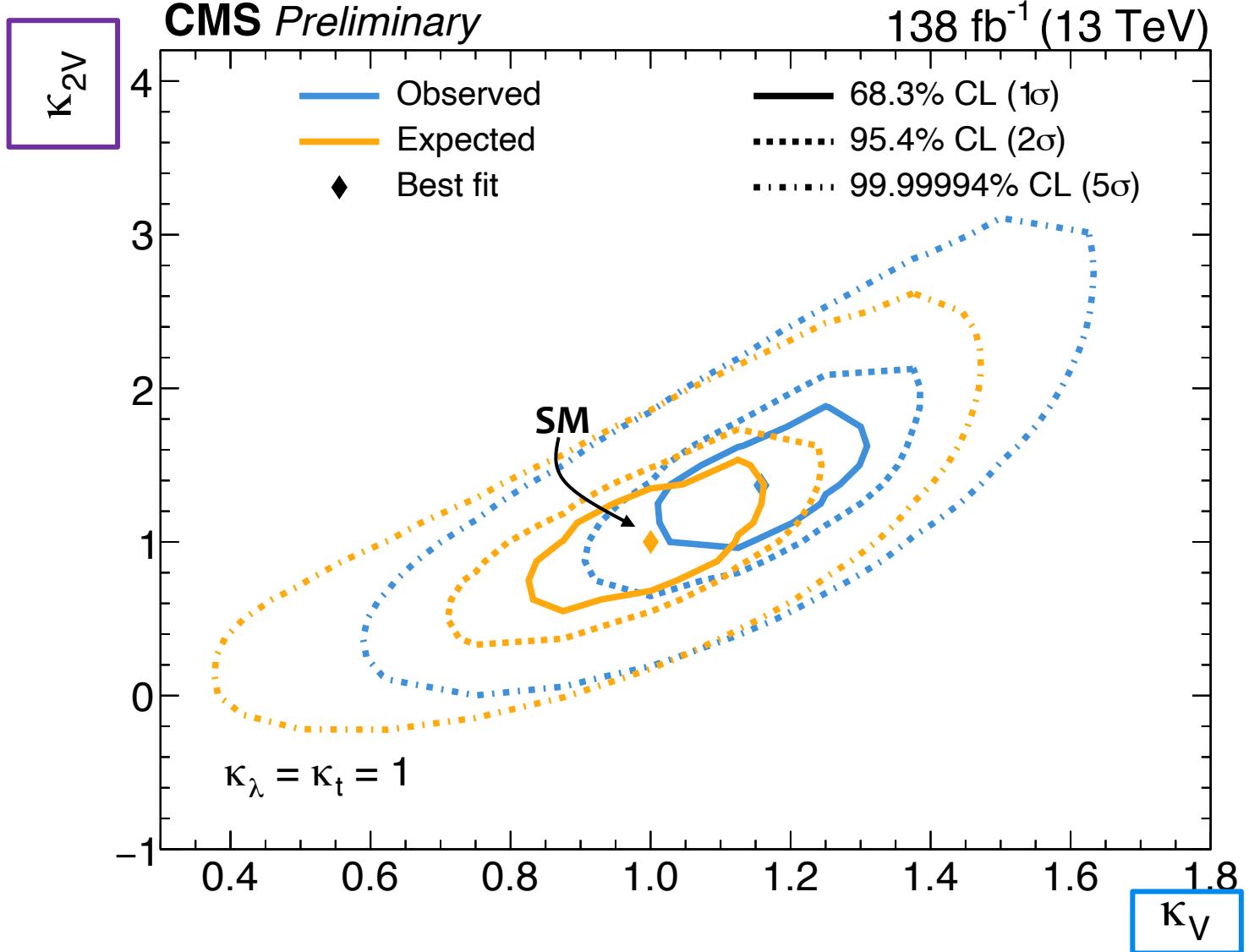
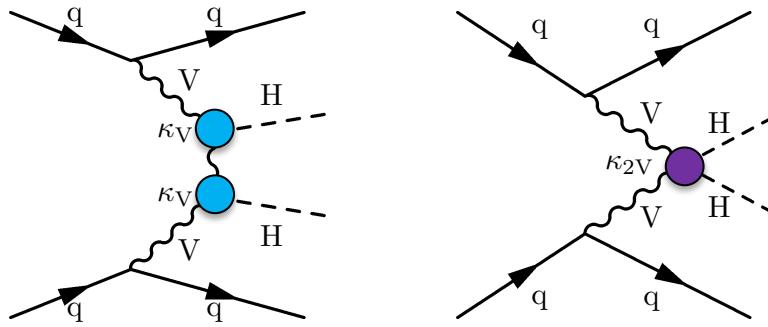


Yesterday's Higgs signal is today's HH background!



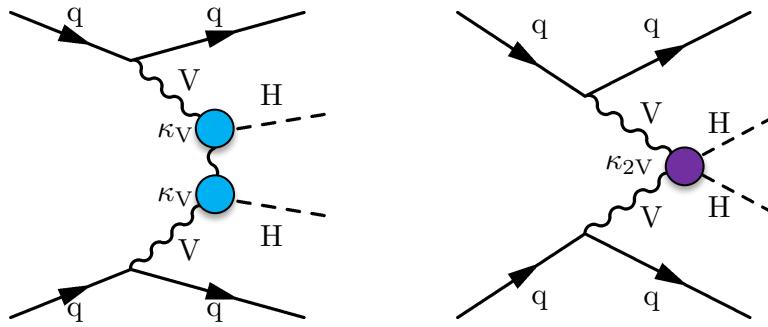
# Tests of SM-structure

In SM, we'd expect  $\kappa_{2V} = \kappa_V = 1$

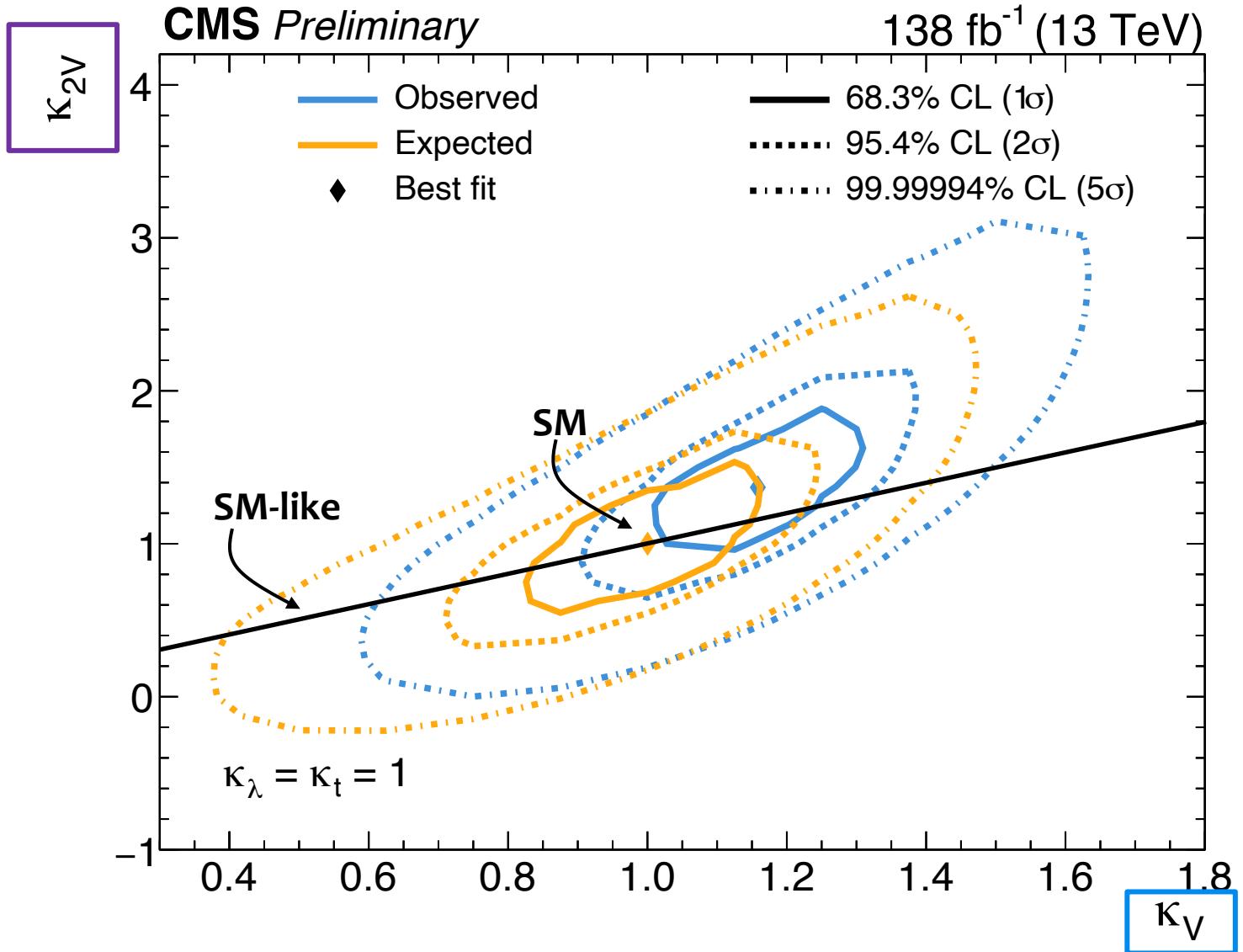


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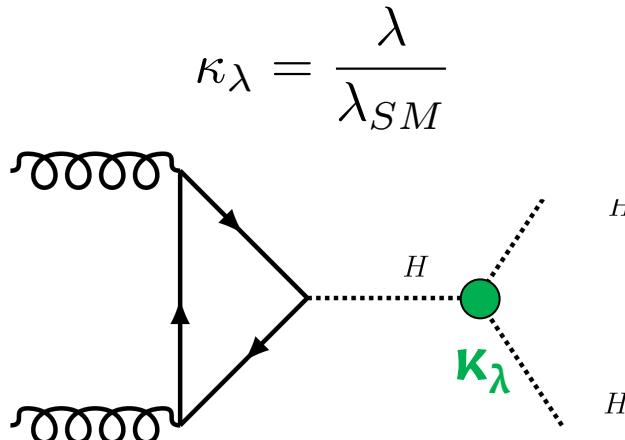


In “SM-like” extensions (eg SM-EFT) we can relax to  $\kappa_{2V} = \kappa_V$   
→ Test of the nature of effective SM-extensions through double Higgs measurements!



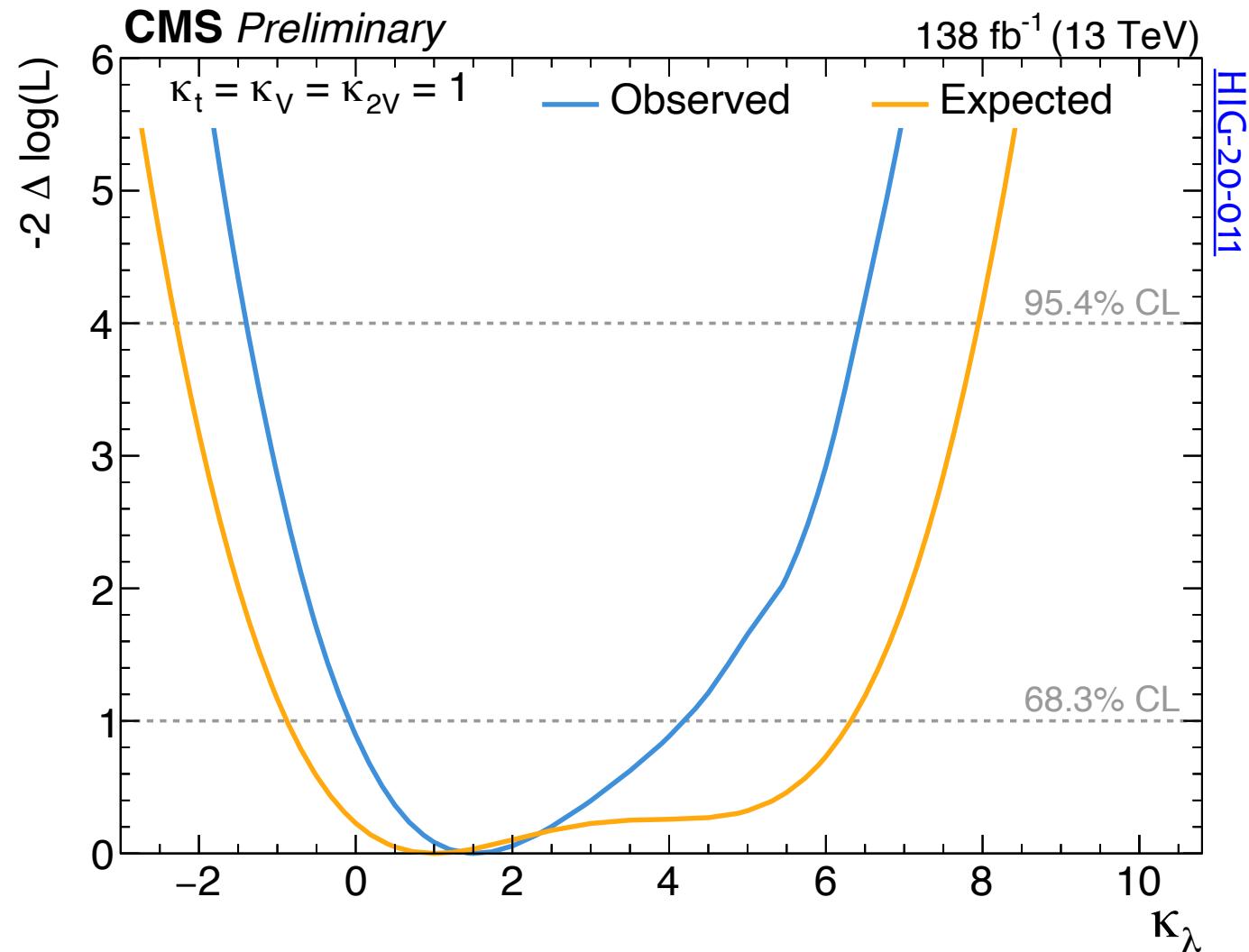
# Higgs boson self-coupling

Extract self-coupling relative to SM prediction



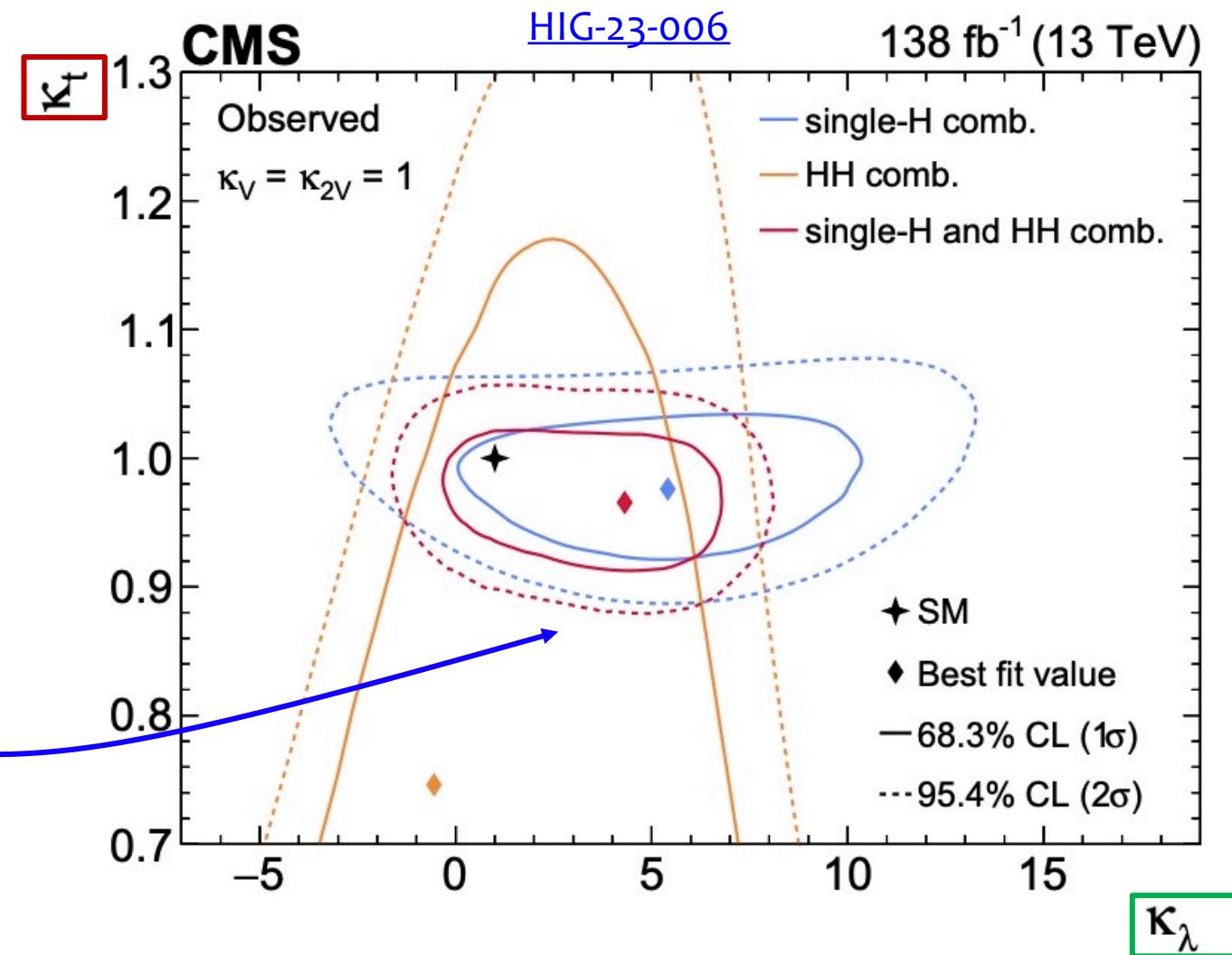
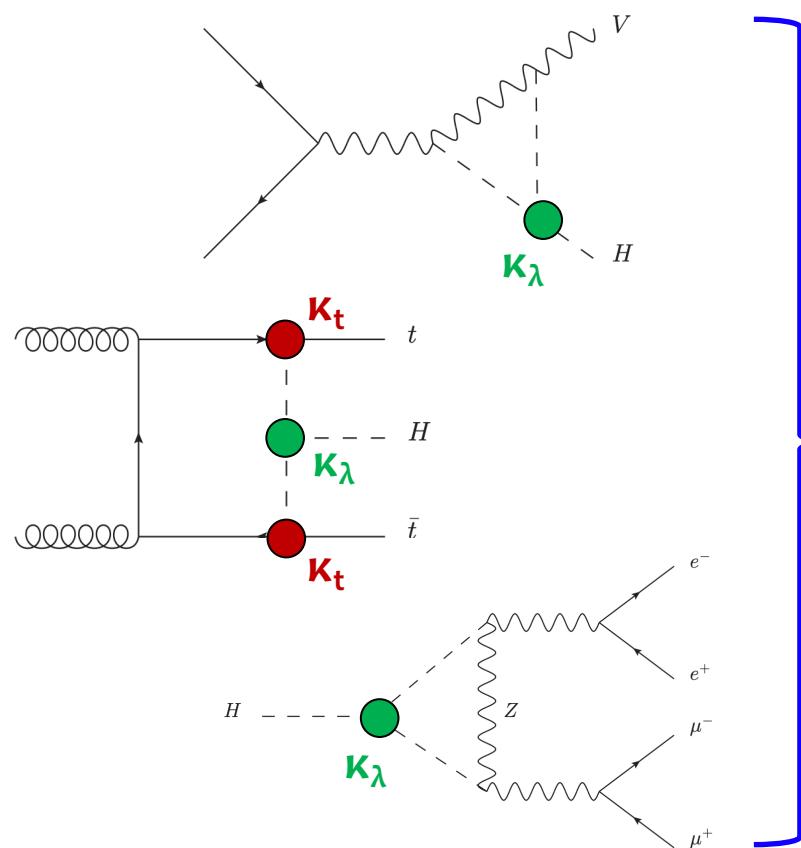
Combination of HH searches yields most stringent limit on Higgs boson self-coupling

$$0.08 < \kappa_\lambda < 4.2 \text{ @ 68% CL}$$



# Higgs boson self-coupling

Loop corrections to **single-Higgs boson** production and decay involve  
**Higgs self-coupling** [1]



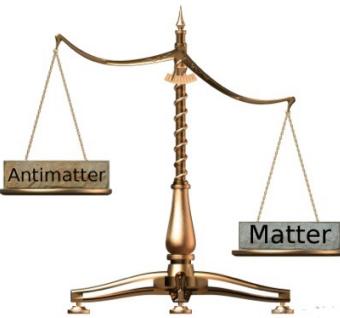
Precision (single) Higgs boson measurements also sensitive to Higgs self-coupling! Lift degeneracies with other Higgs couplings

[1] Eur. Phys. J. C (2017) 77: 887

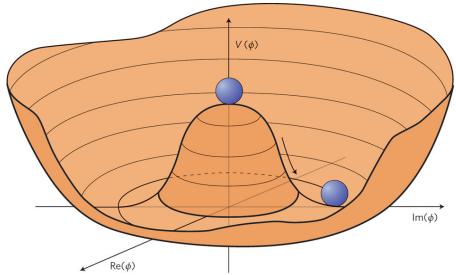
# Why do we care?

The universe today is **matter** (baryon)-dominated,

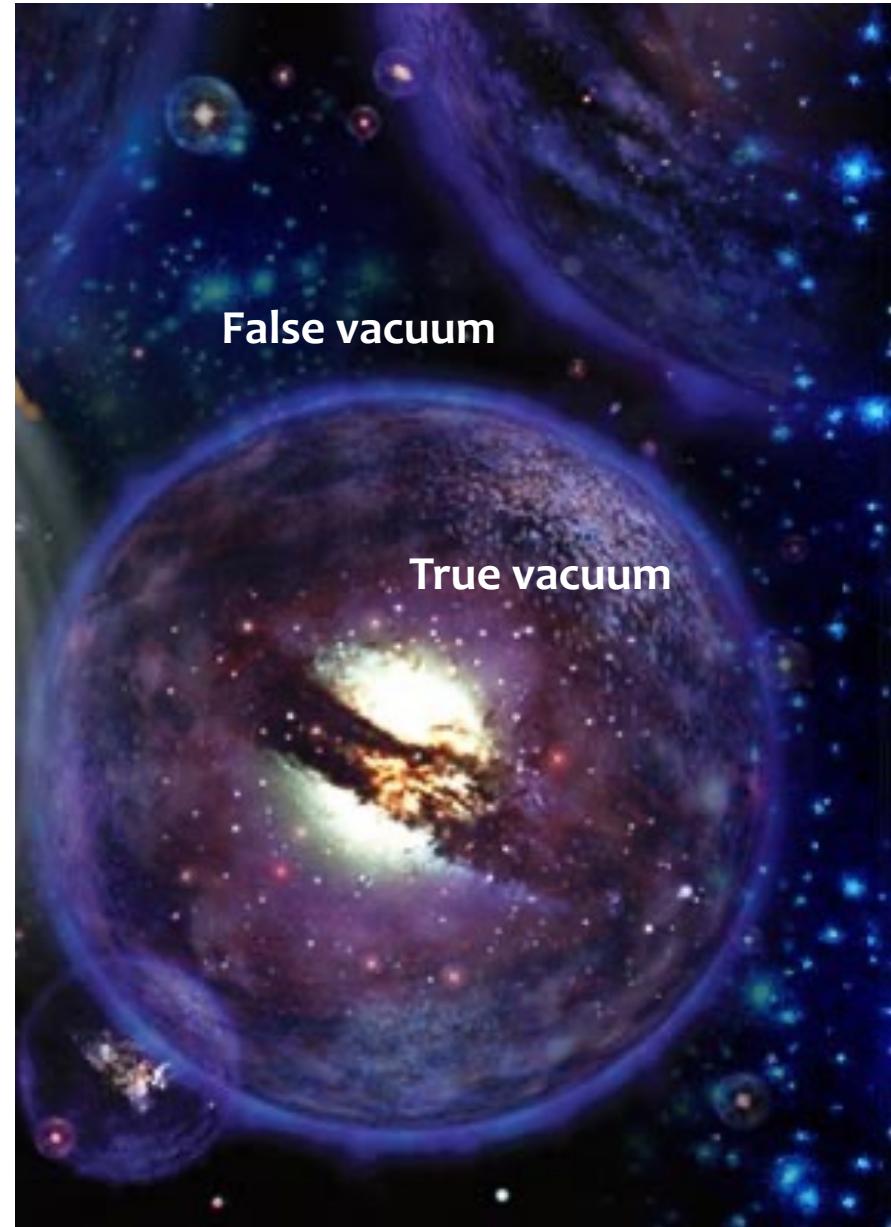
$$n_B \gg n_{\bar{B}}$$



Essential ingredient for **Baryogenesis** (production of B-asymmetry) :  
→ First order phase transition [1]



[1] A. D. Sakharov, JETP Lett. 5, 24 (1967)



# Modified Higgs potential and Baryogenesis

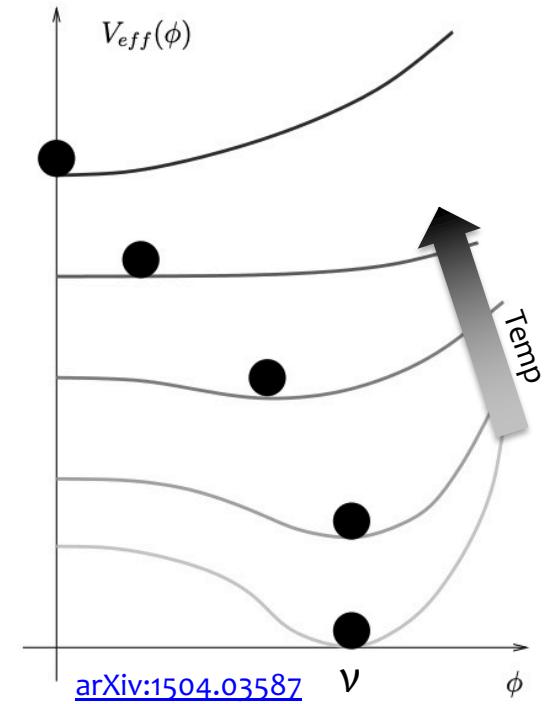
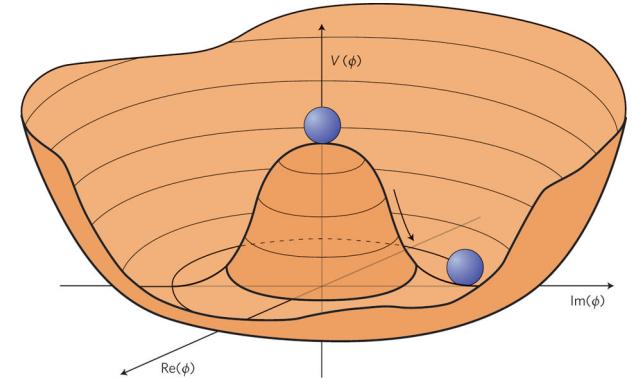
Higgs potential could be the solution?

$$V(H) = \frac{\mu^2}{2}(v + H)^2 + \frac{\lambda}{4}(v + H)^4$$

SM

$$\kappa_\lambda = \frac{\lambda}{\lambda_{SM}} = 1$$

In the SM, since the Higgs mass is known ( $\sim 125$  GeV), we get a smooth transition between minima (2<sup>nd</sup> order PT) from the potential

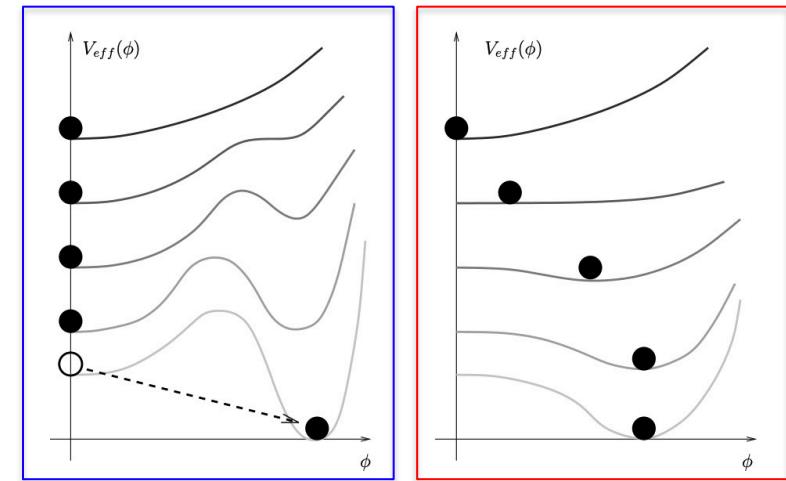


# Modified Higgs potential and Baryogenesis

**BSM physics in Higgs potential could be the solution!**

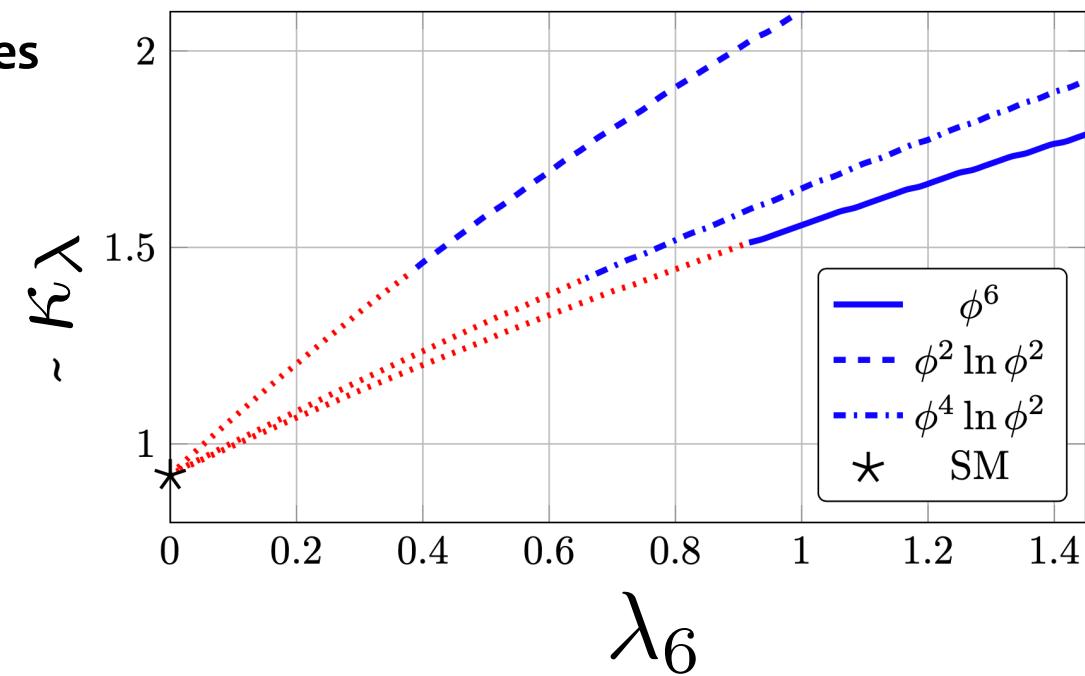
$$V(H) = \frac{\mu^2}{2}(v + H)^2 + \frac{\lambda}{4}(v + H)^4 + \frac{\lambda_6}{\Lambda^2}(v + H)^6$$

The diagram illustrates the potential  $V(H)$  as a sum of two terms. The first term,  $\frac{\mu^2}{2}(v + H)^2$ , is represented by a black bracket labeled "SM" below it. The second term,  $\frac{\lambda}{4}(v + H)^4 + \frac{\lambda_6}{\Lambda^2}(v + H)^6$ , is represented by a green bracket labeled "BSM" below it.



Inclusion of **Dimension-6 (BSM)** term in potential **changes the relationships between** the fundamental Higgs parameters

$$\kappa_\lambda = \frac{\lambda}{\lambda_{SM}} \sim 1 + \frac{16\lambda_6 v^4}{m_H^2 \Lambda^2}$$

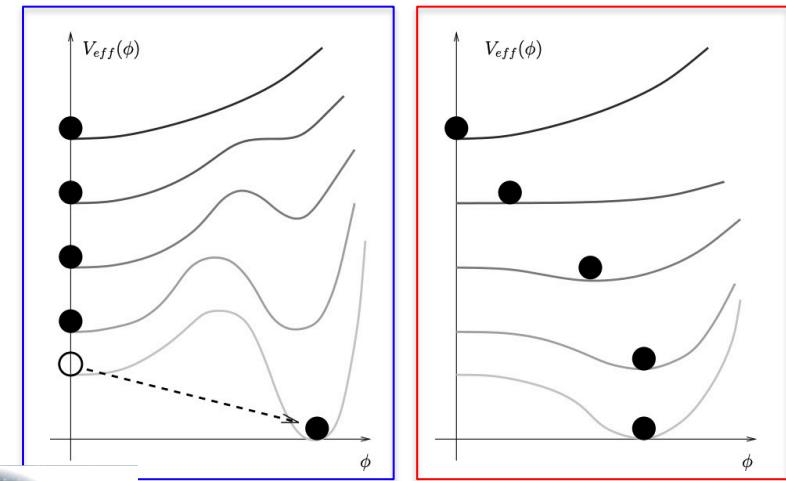


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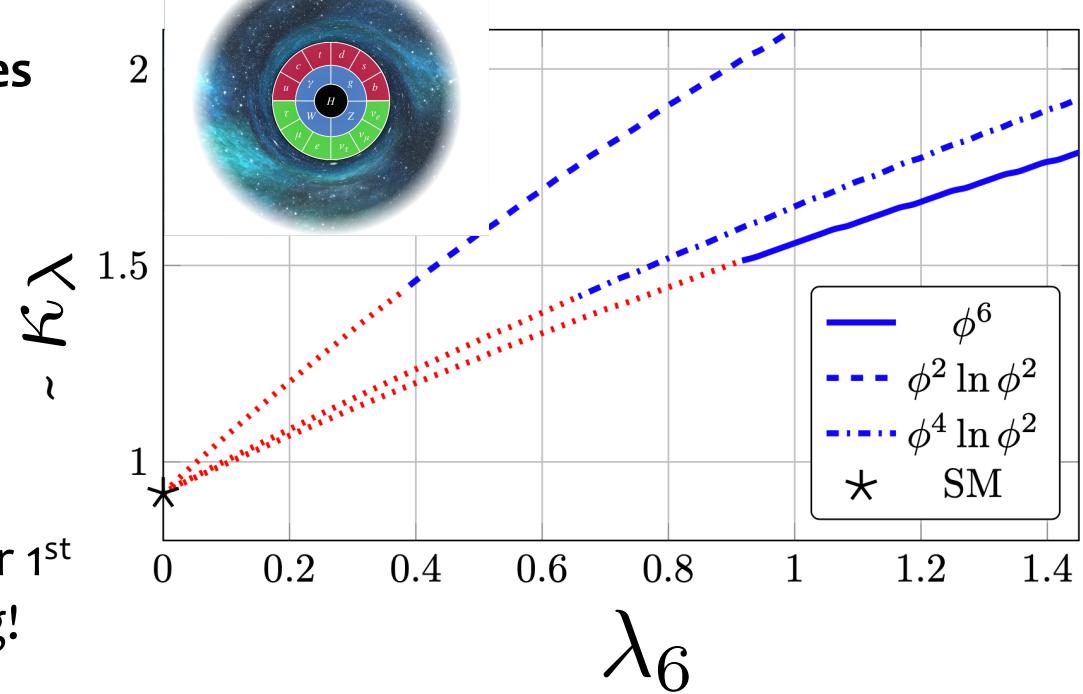
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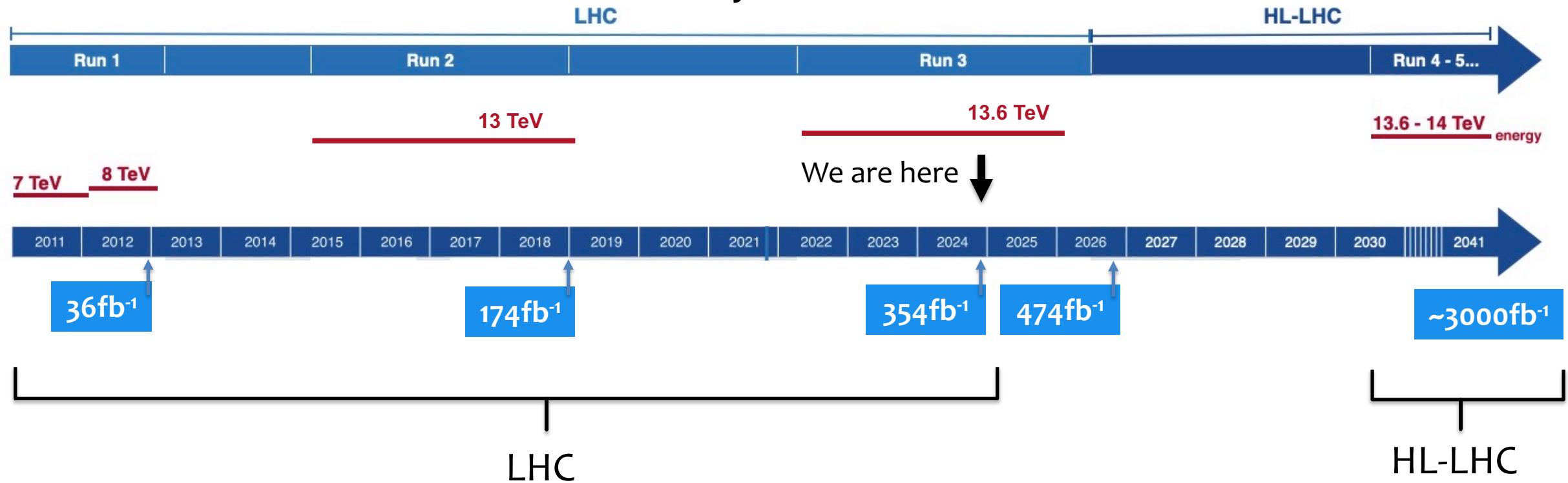
**5% increase in self-coupling** could hint at mechanism for 1<sup>st</sup> order EWK phase-transition → measure the self-coupling!



# The future of the LHC

After Run-3 of the LHC, the next phase is the **high-luminosity (HL)-LHC**

**~20x** the data we have today!



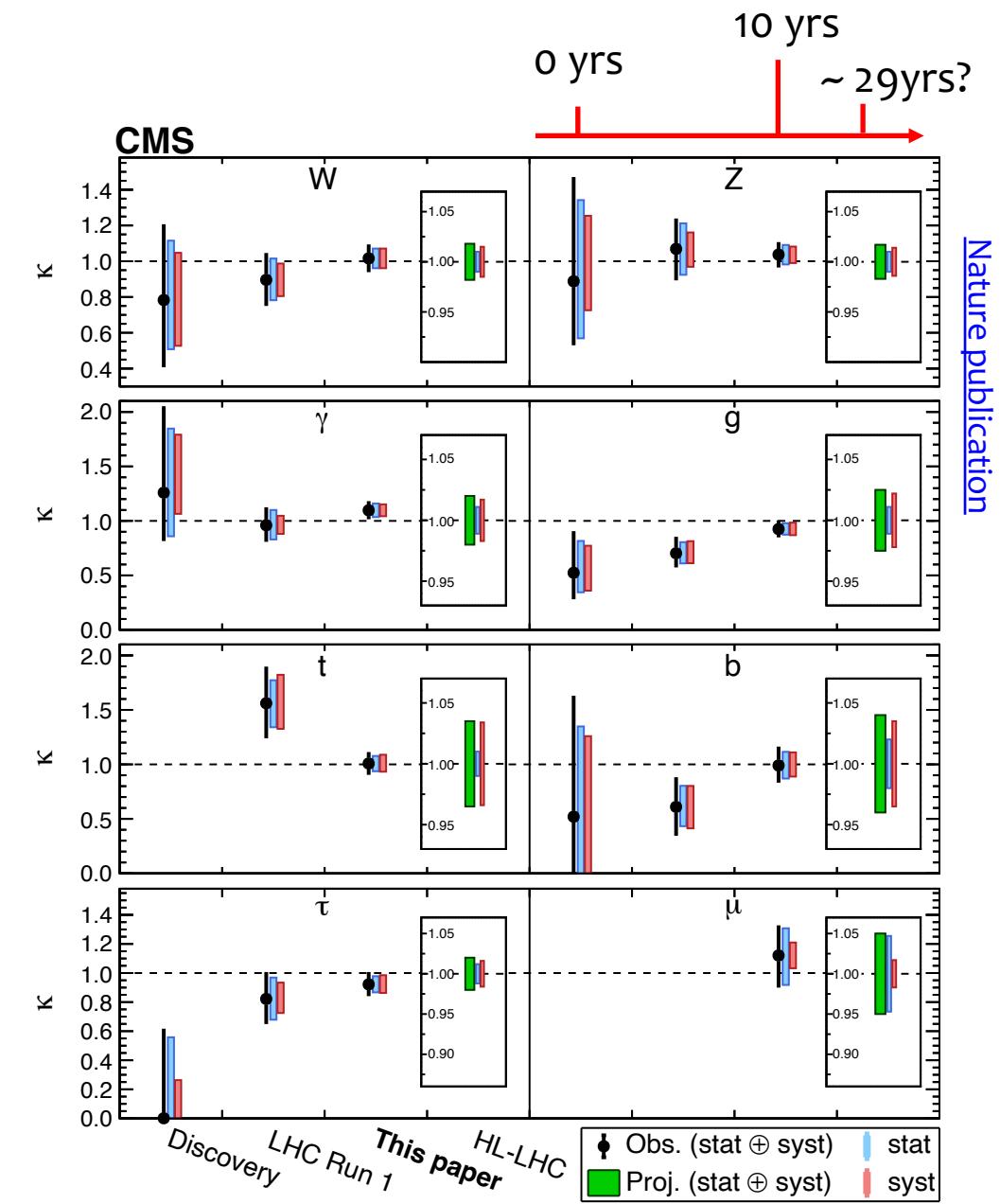
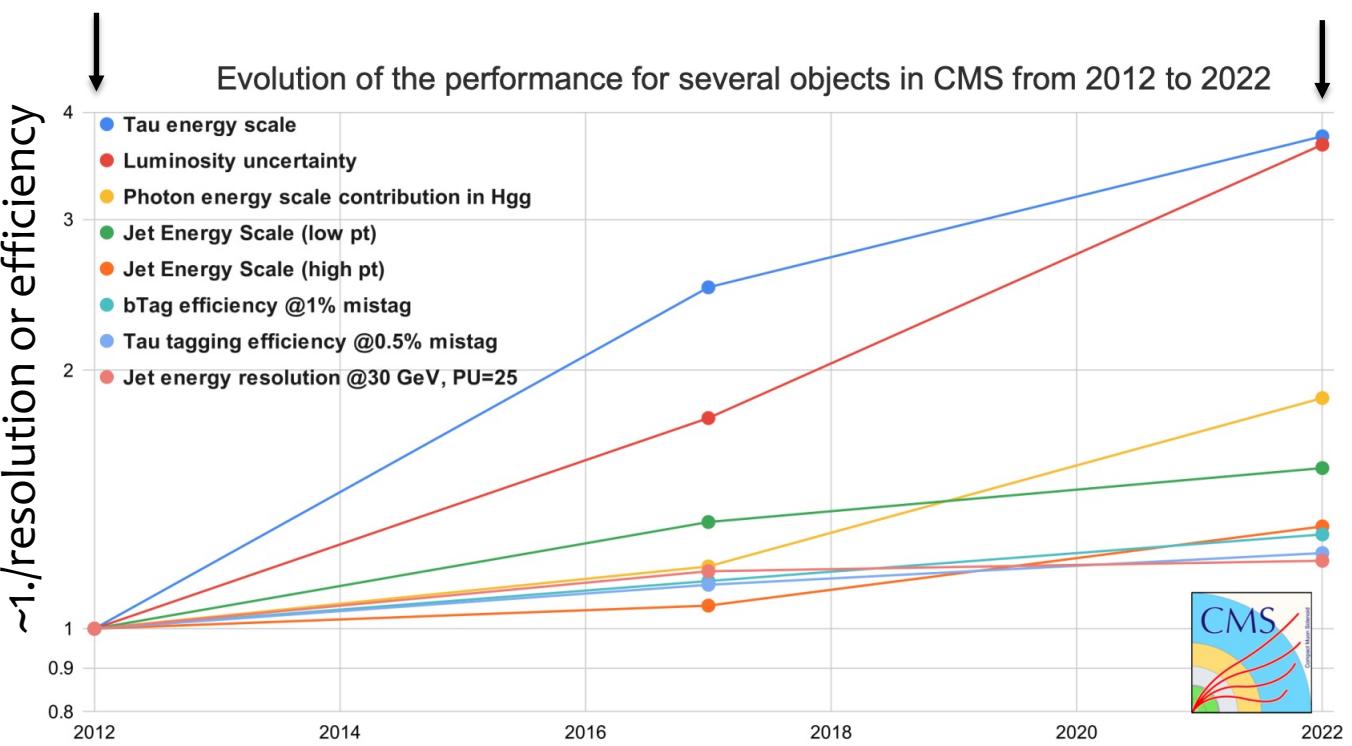
Expect > 160M H-bosons / 120k HH pairs at CMS by the end of the HL-LHC !

# Higgs couplings @ HL-LHC

Precision measurements require more than just more data

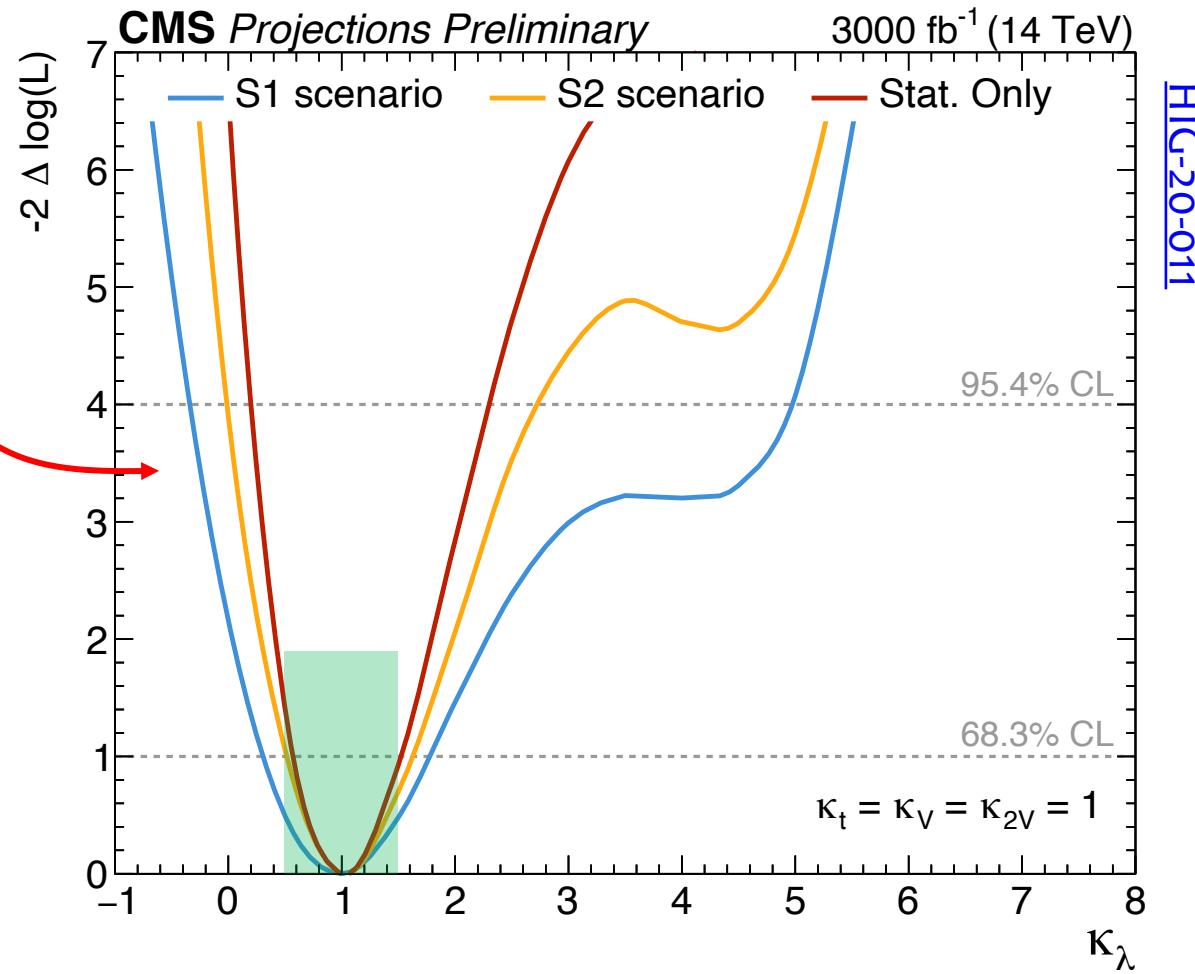
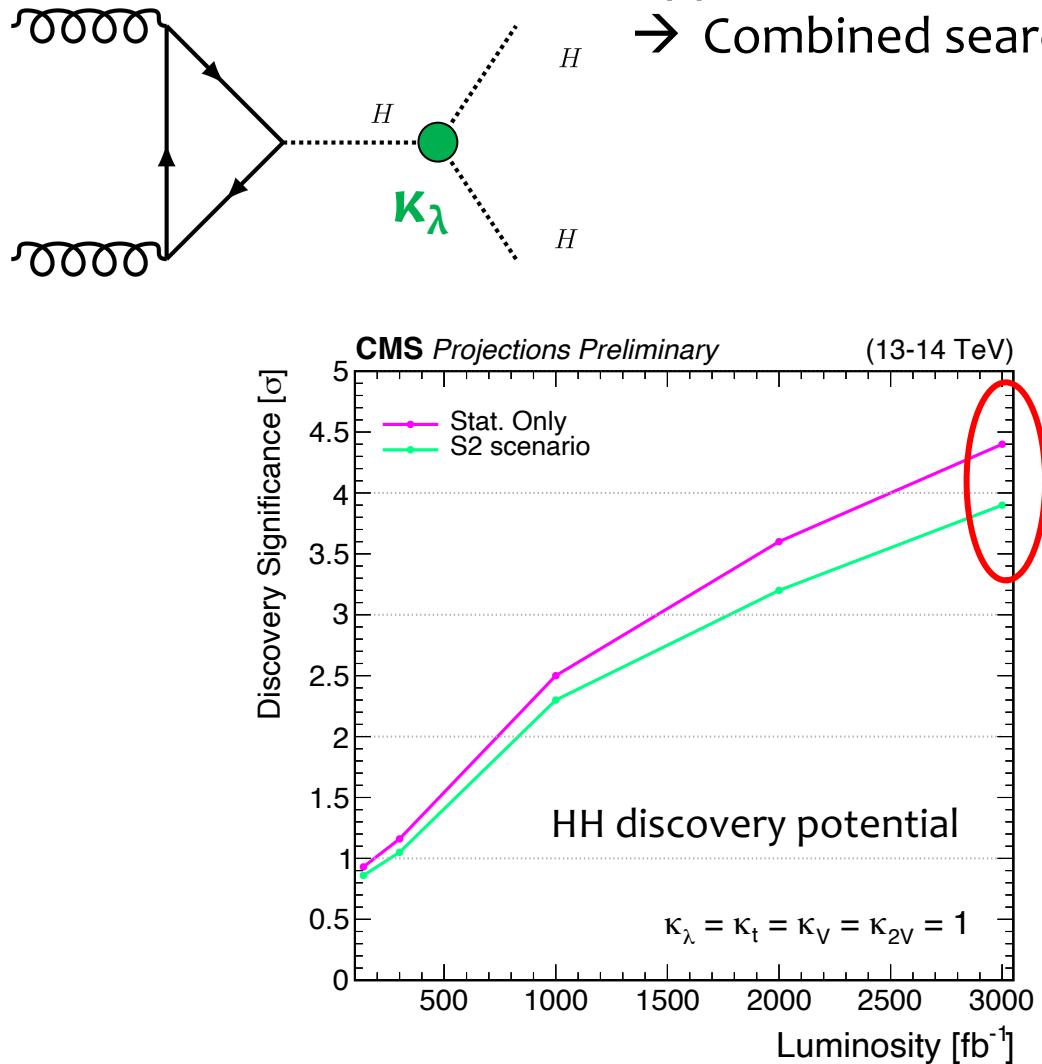
→ Improvements in reconstruction techniques & calibrations will be needed for few % precision couplings @HL-LHC

Discovery

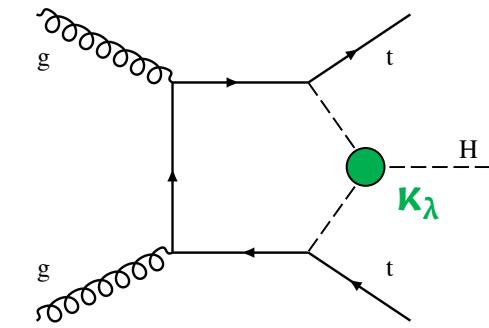
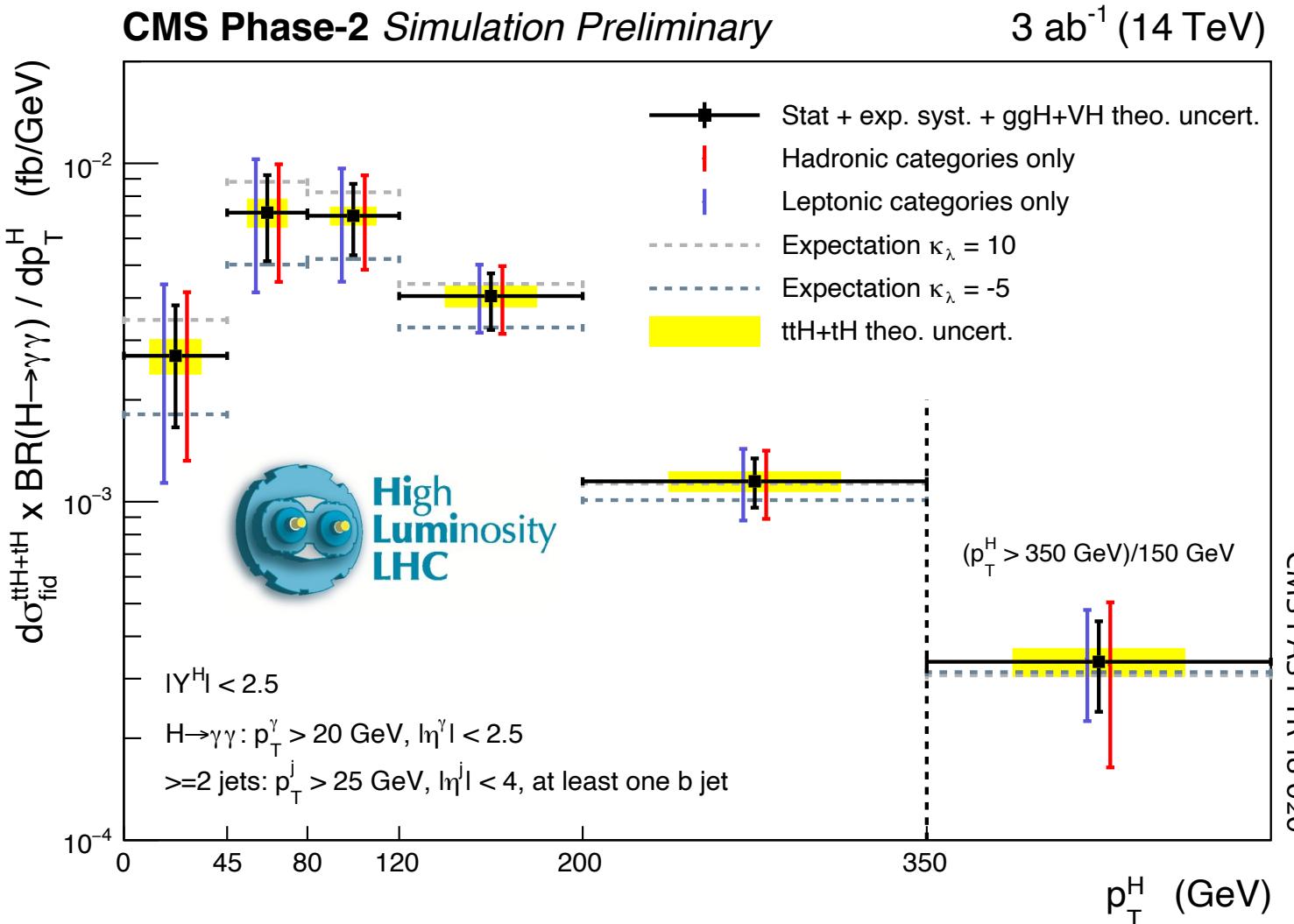


# Higgs boson self-coupling @ HL-LHC

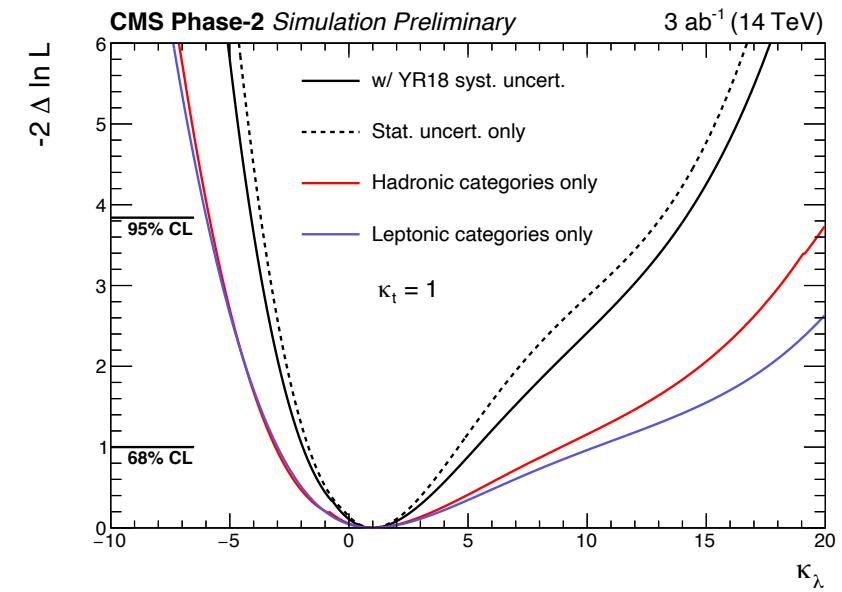
Approx 10x size data set available to CMS at the end of the HL-LHC  
→ Combined searches for HH production to approach ~50% uncertainty in  $\kappa_\lambda$ ?



# Higgs boson self-coupling @ HL-LHC

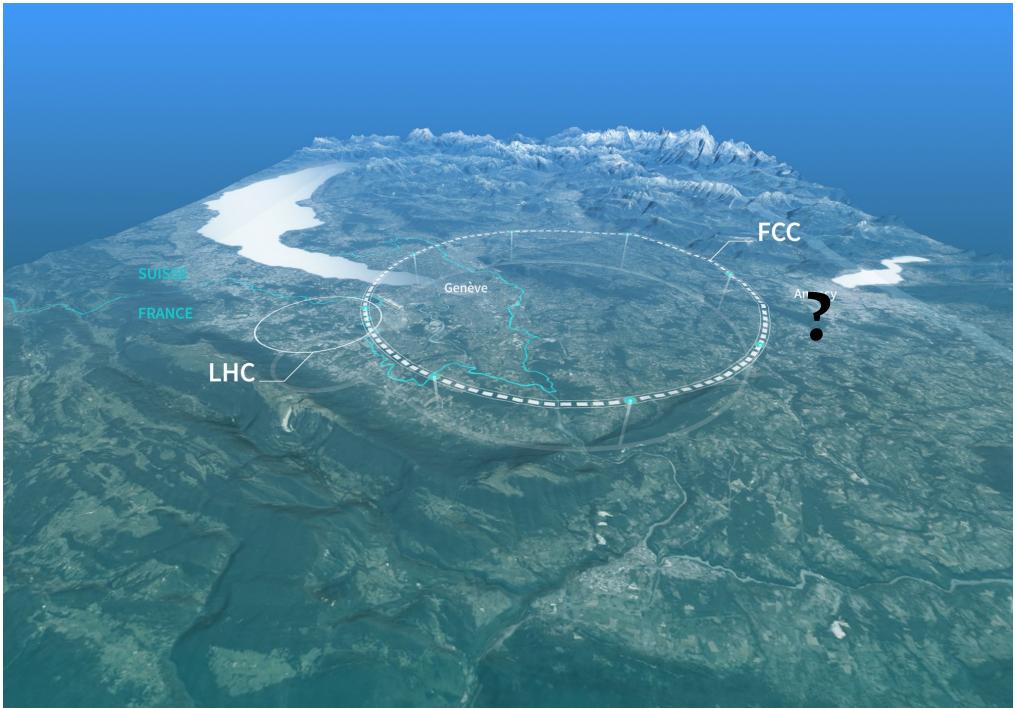


**Combinations with precision differential measurements of Higgs production will push sensitivity even further!**



# Higgs beyond the HL-LHC?

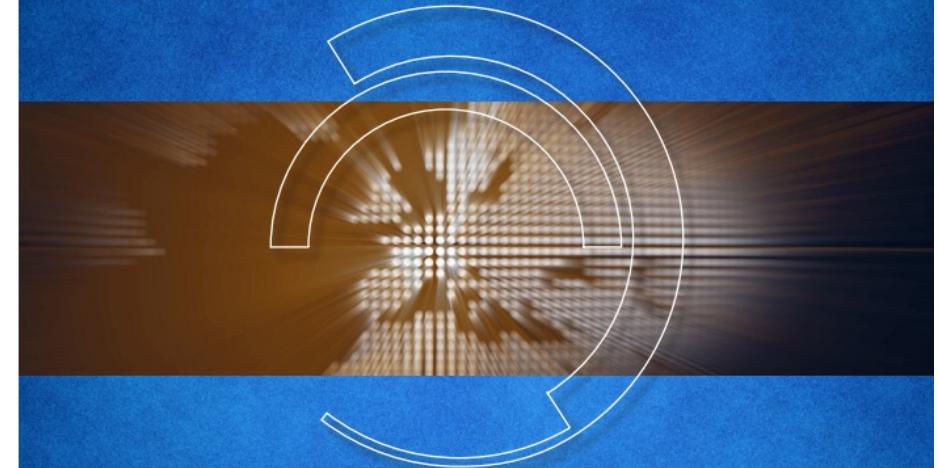
Future collider a “**High-priority future initiative**” (2020 update)



“Europe, …, should **investigate the technical and financial feasibility of a future hadron collider at CERN with a centre-of-mass energy of at least 100 TeV** ...



Update for 2026 ongoing now!



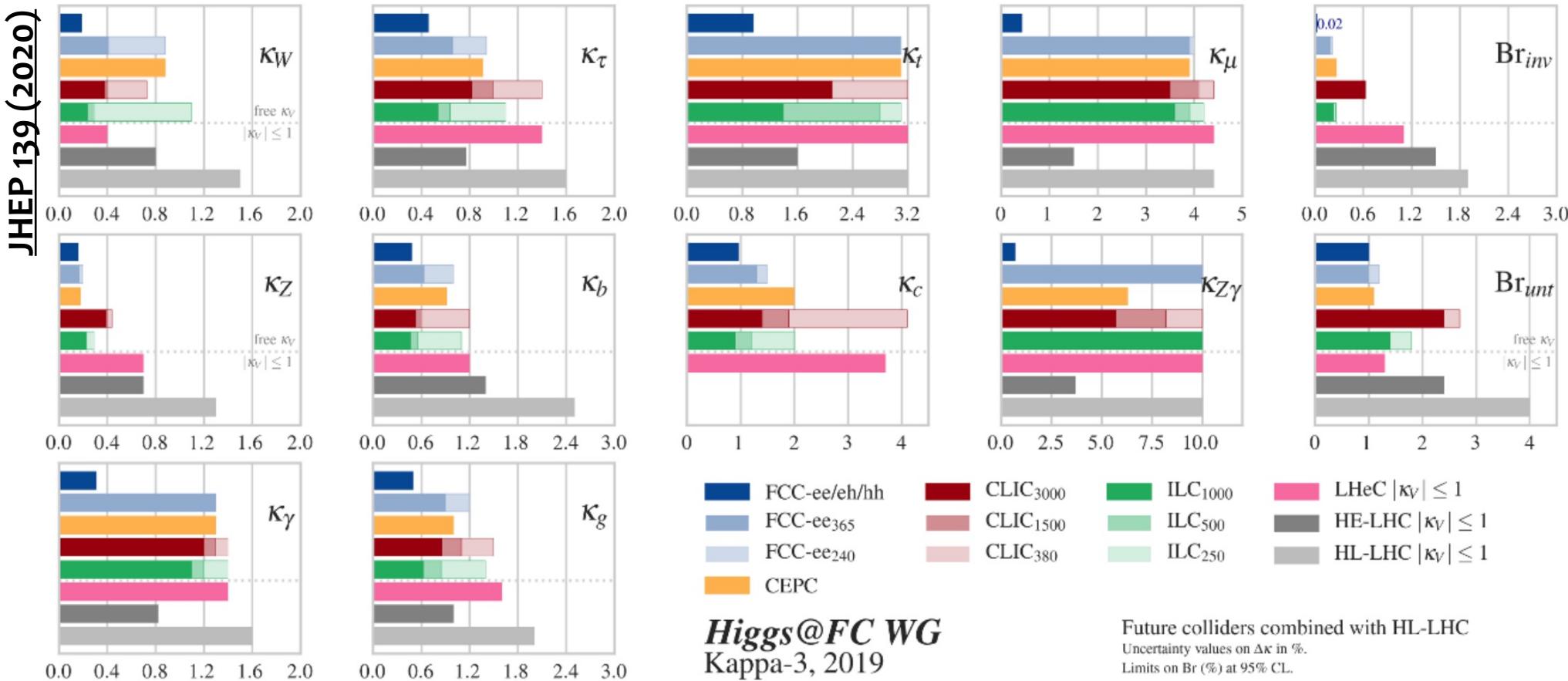
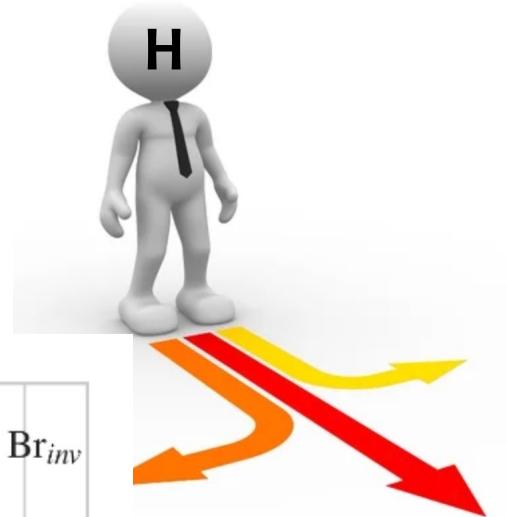
2020 UPDATE OF THE EUROPEAN STRATEGY  
FOR PARTICLE PHYSICS

by the European Strategy Group



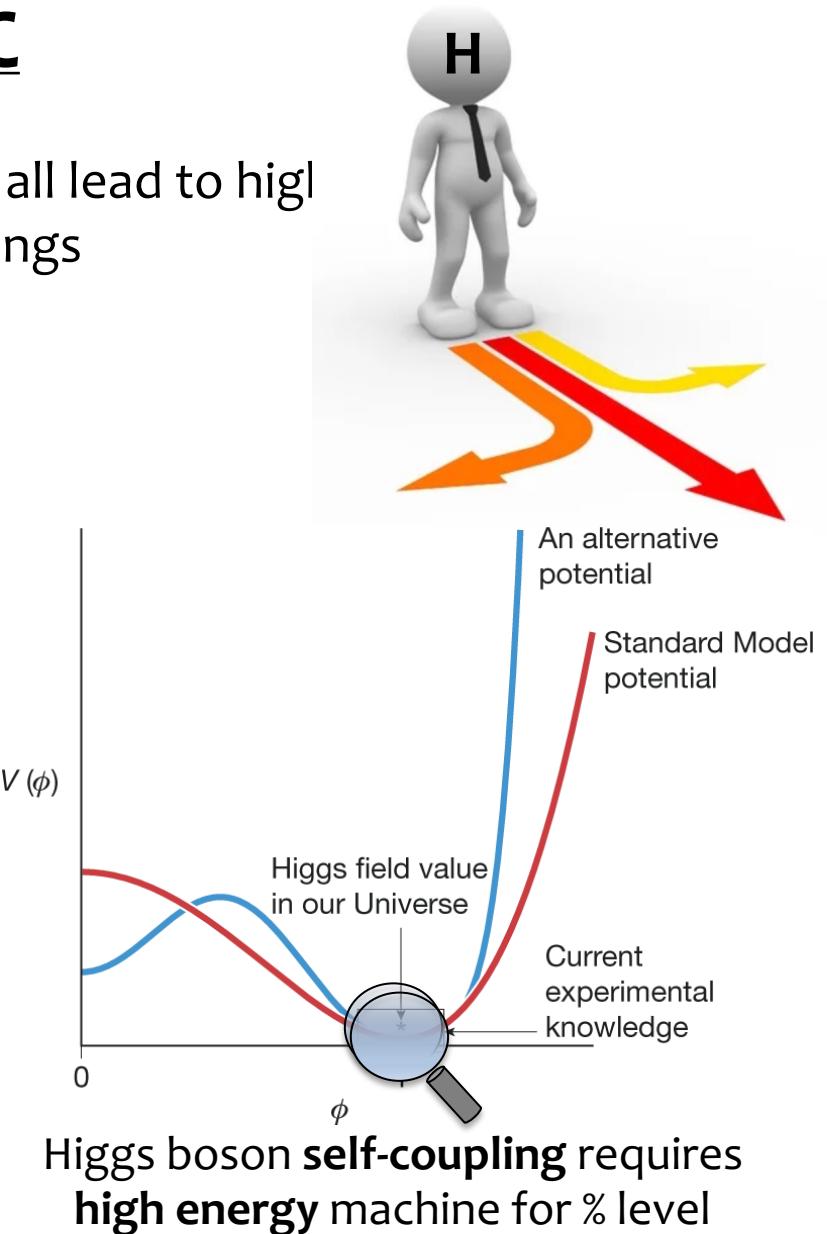
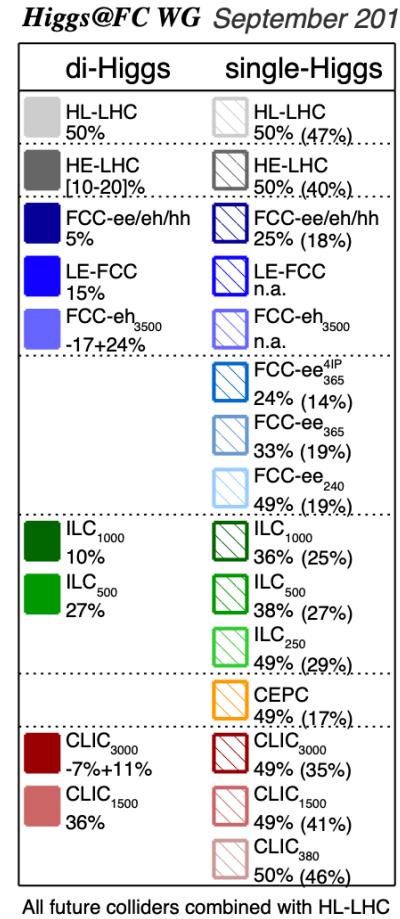
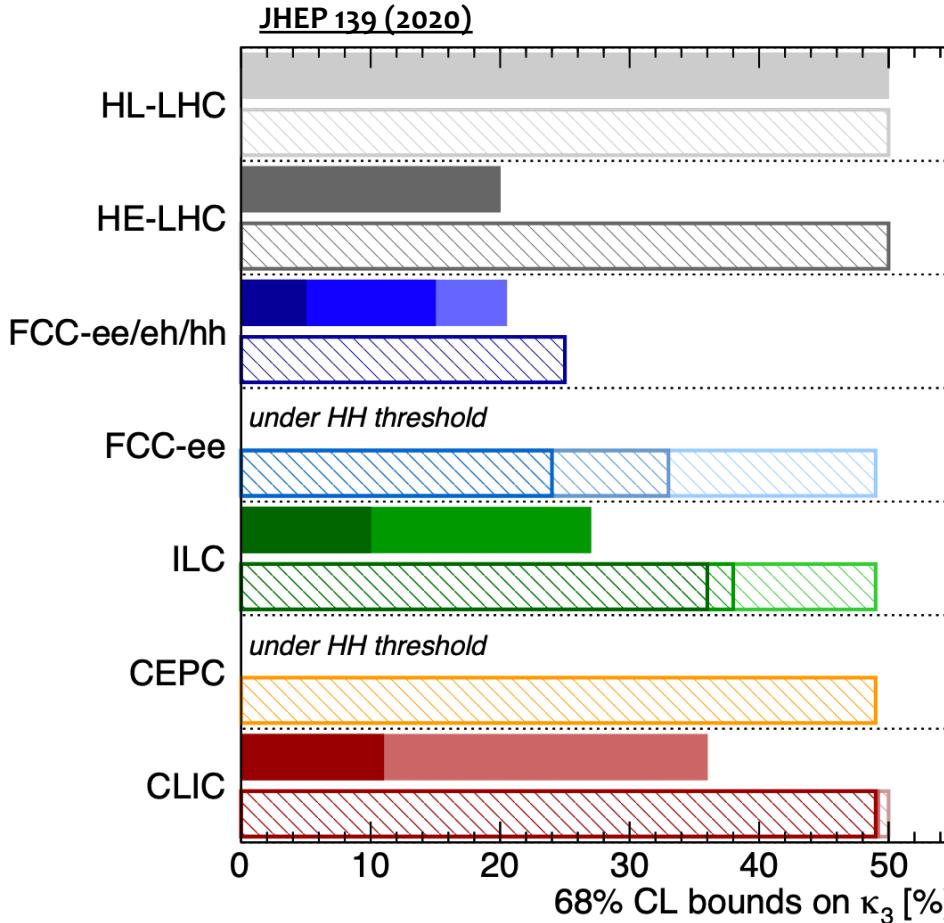
# Higgs boson couplings beyond the HL-LHC

The long road ahead for the Higgs has many potential options but all lead to high precision (  $O(1)\%$  level ) characterization of the Higgs boson couplings

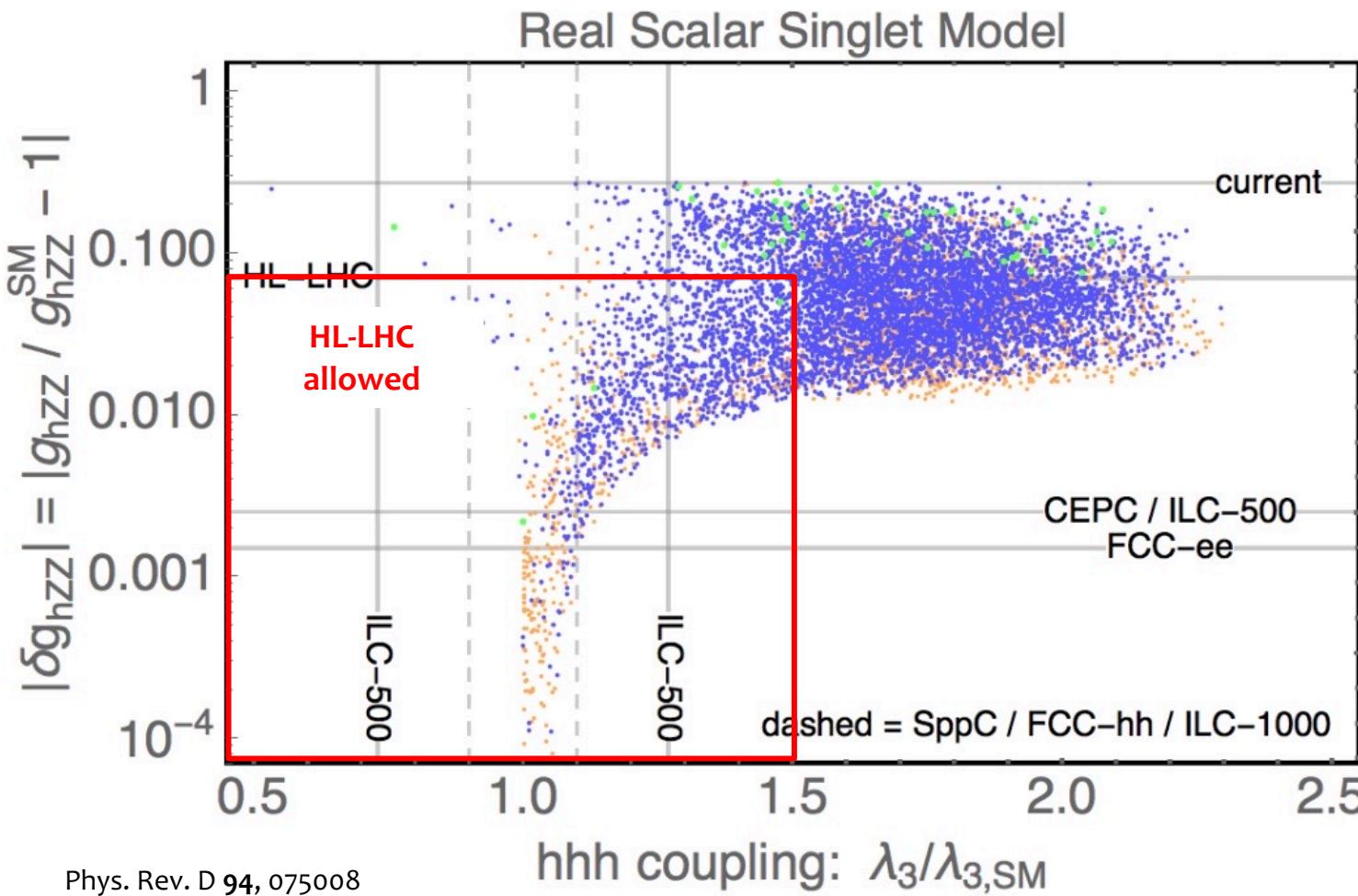


# Higgs boson couplings beyond the HL-LHC

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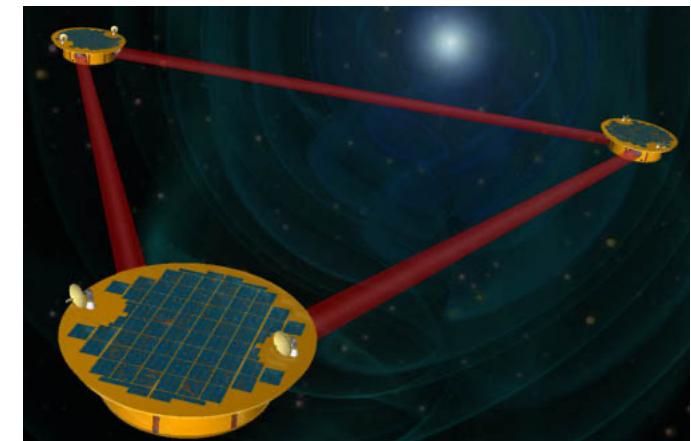


# Higgs and the Universe beyond the HL-LHC

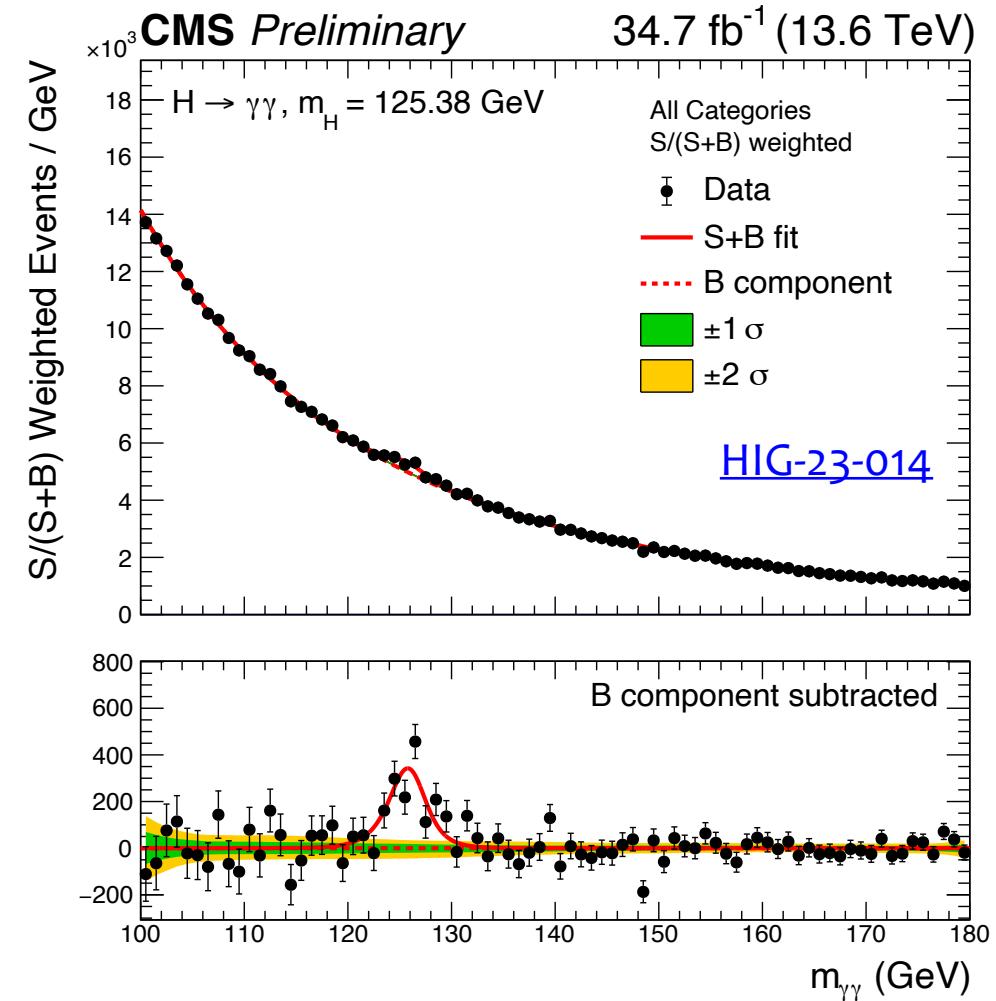
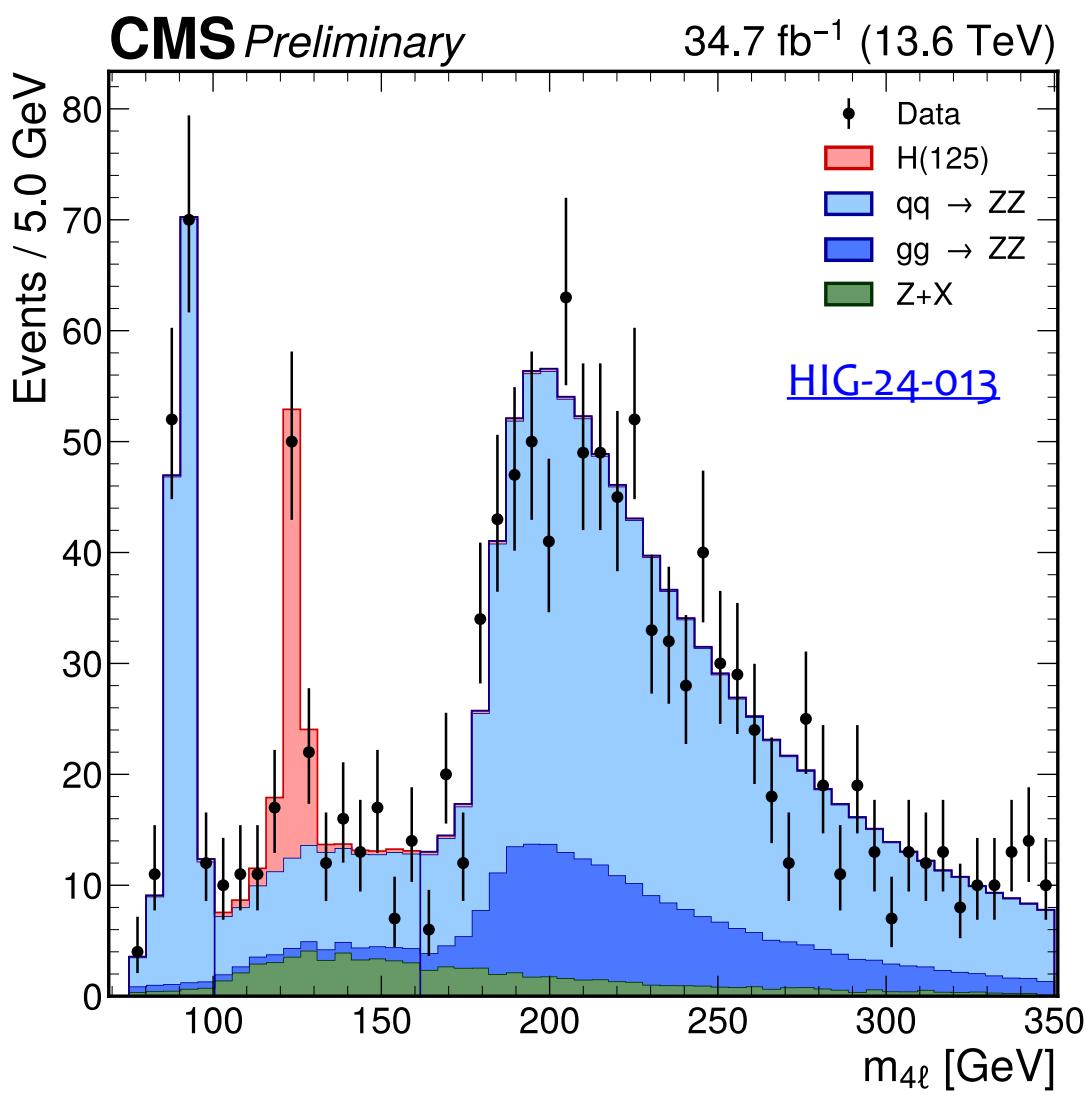


Modified Higgs potentials can result in 1<sup>st</sup> order electroweak phase transition  
→ **required for baryogenesis**

- Strong first order PT (electroweak baryogenesis viable)
- Could be detected at GW detectors (eLISA)



# We're not there yet – still plenty to do now

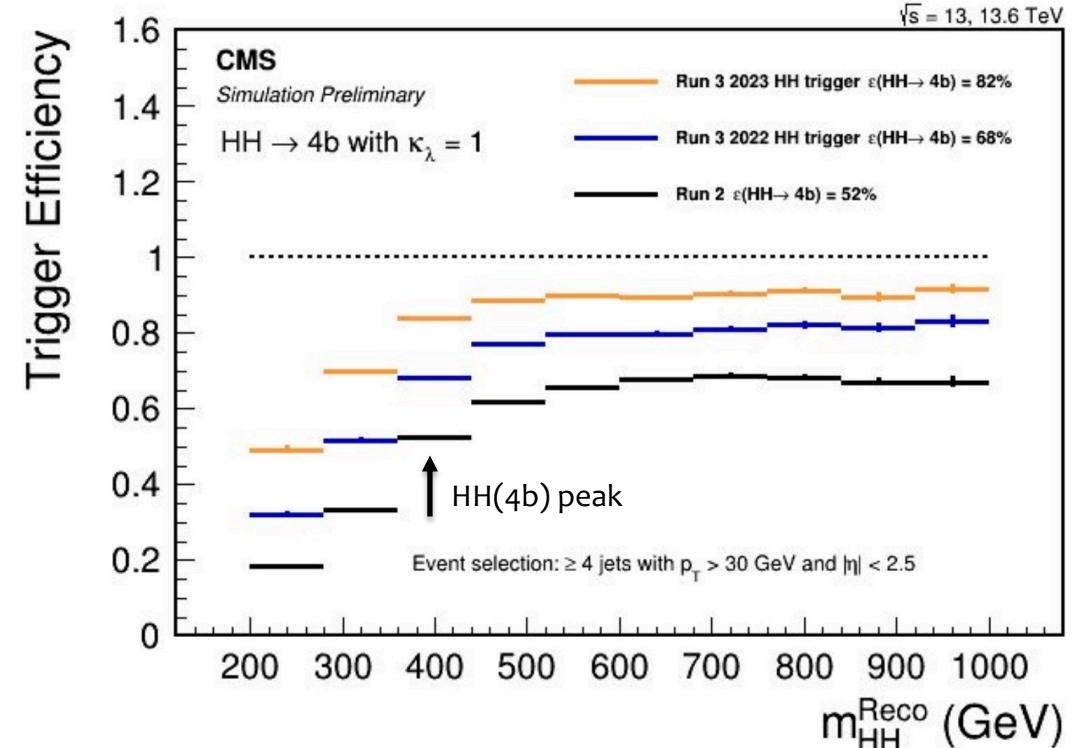
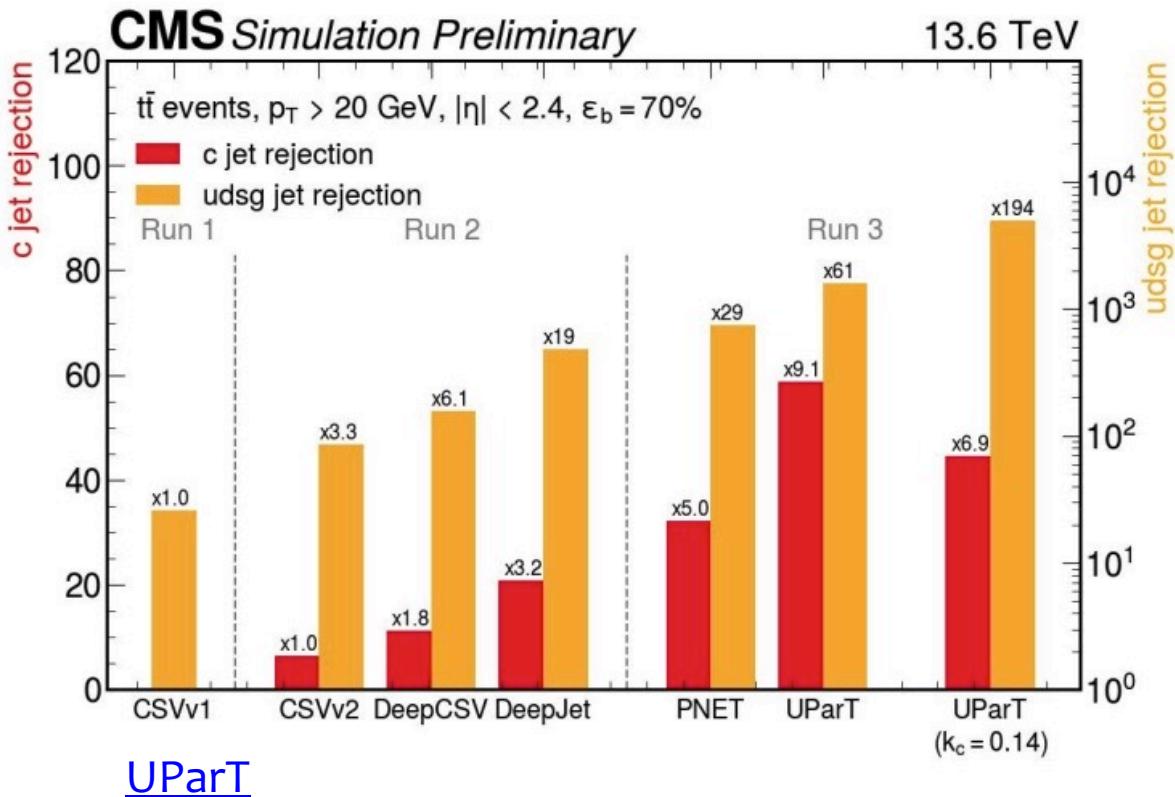


New results already with **early 13.6 TeV data** (from 2022)  
→ Lots more data available since then in **Run-3!**

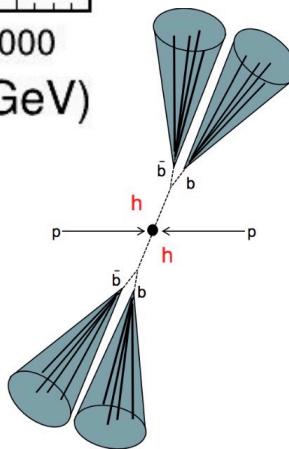
# We're not there yet – and have new ideas in the pipeline

Methods constantly evolving to **improve on what we can do** with the data we have

→ Do better than scaling with statistics!

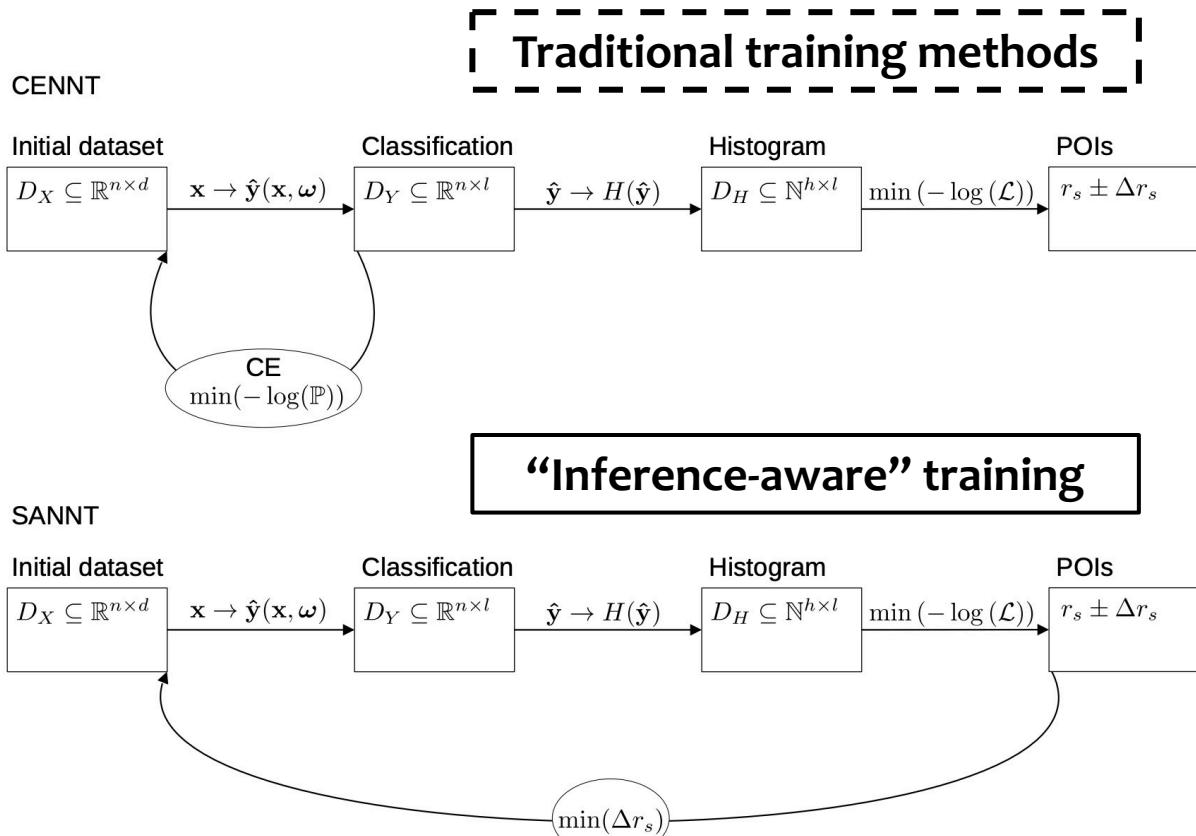


Machine learning plays a huge role in making the most of our data  
→ New people with **new ideas always needed** to ensure the future of precision Higgs measurements

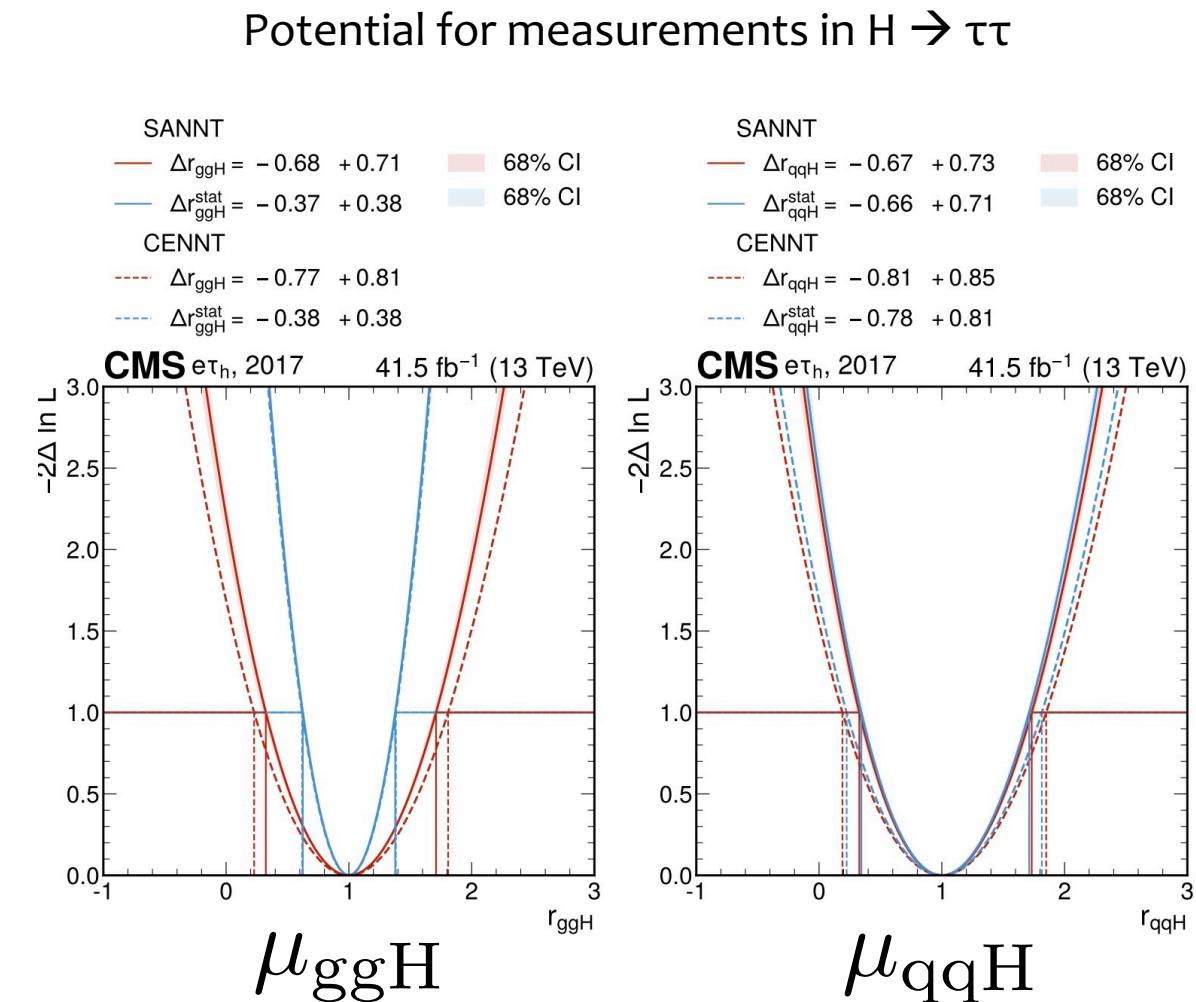


# We're not there yet – and have new ideas in the pipeline

Evolving the way we use machine learning in the analysis could also bring significant improvements to our Higgs measurements!



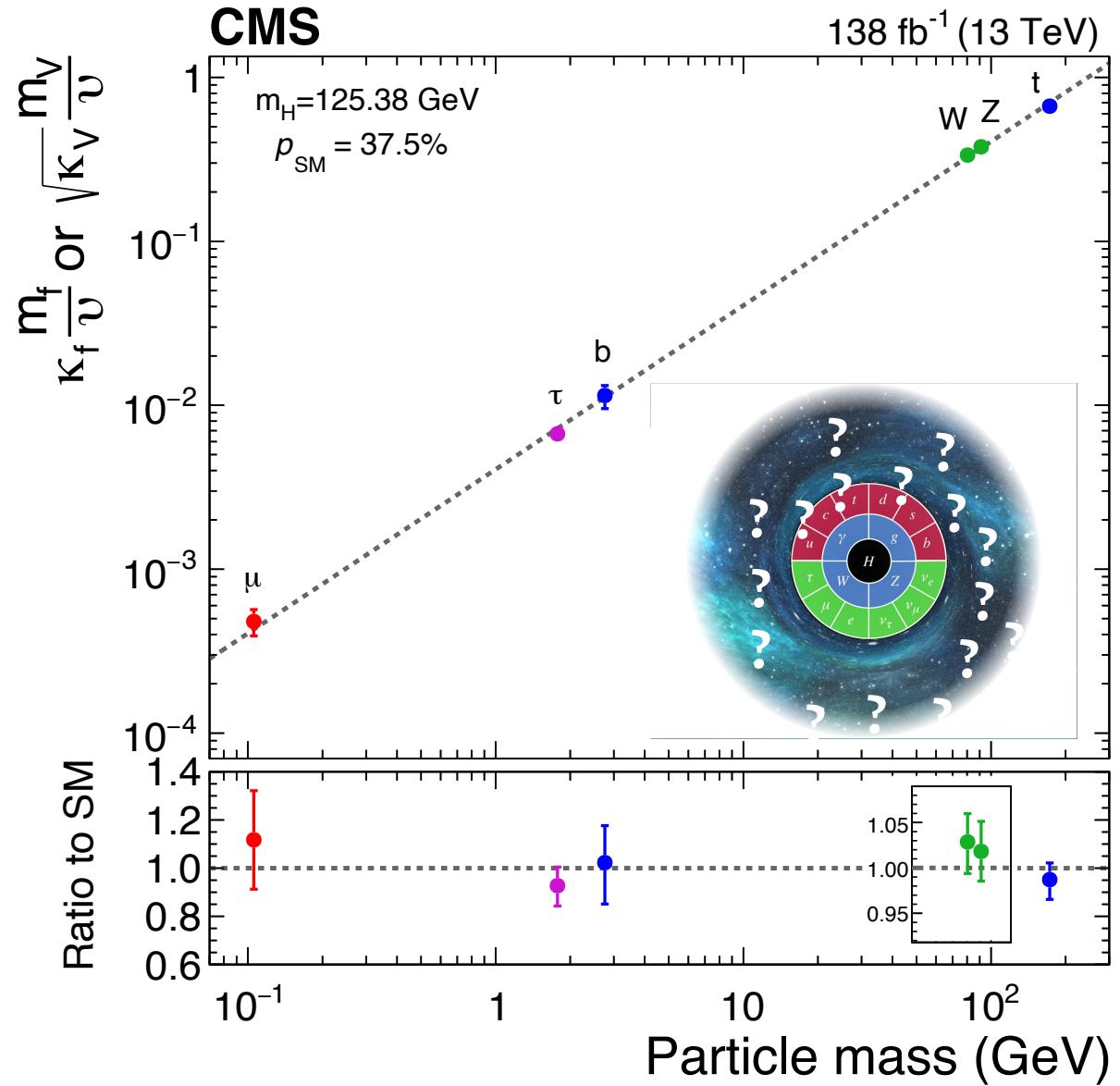
[MLG-23-005](#)



# Summary

**Higgs boson** a corner stone of the Standard Model

- So far, all measured properties look **SM-like**, but that's ok, who said nature would be easy to unravel?



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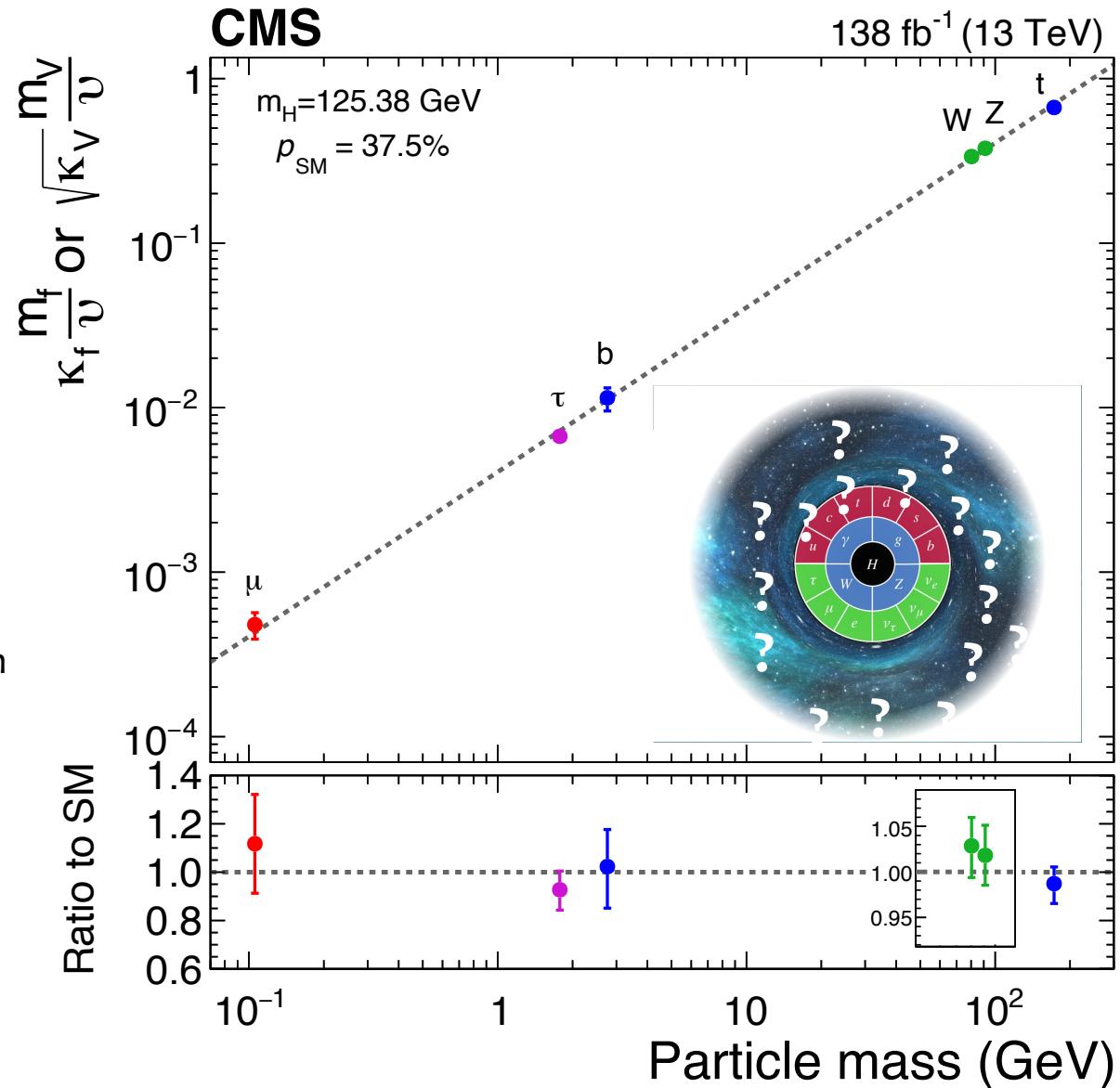
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**Precision Higgs boson coupling measurements** offer a unique insight into BSM physics & **complimentary to direct searches**

- Measurements of  $B(H \rightarrow \text{inv})$  complements direct searches for **Dark Matter!**

**Differential measurements crucial** to make the most of LHC data

- Exploit different kinematic regions to **constrain Effective Field Theories**
- **Higgs self-coupling** from H and HH production – connections with early universe evolution



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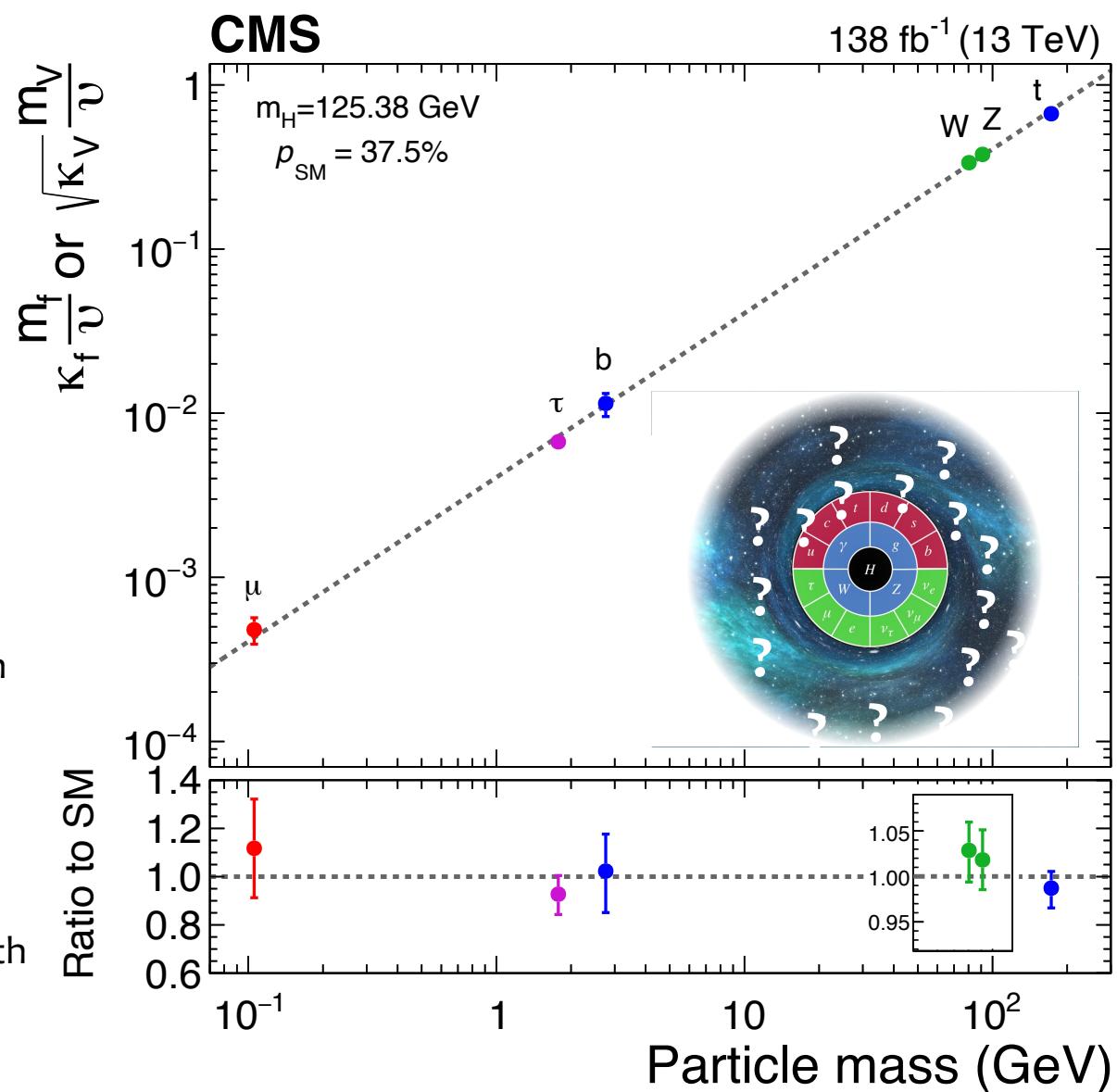
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## Things I didn't talk about

- Direct searches for heavy Higgs/extended Higgs sectors/res-HH
- CP-odd couplings to vector bosons & flavor violating Higgs decays
- Rare decays in the SM (1<sup>st</sup> generation couplings) & Higgs total width



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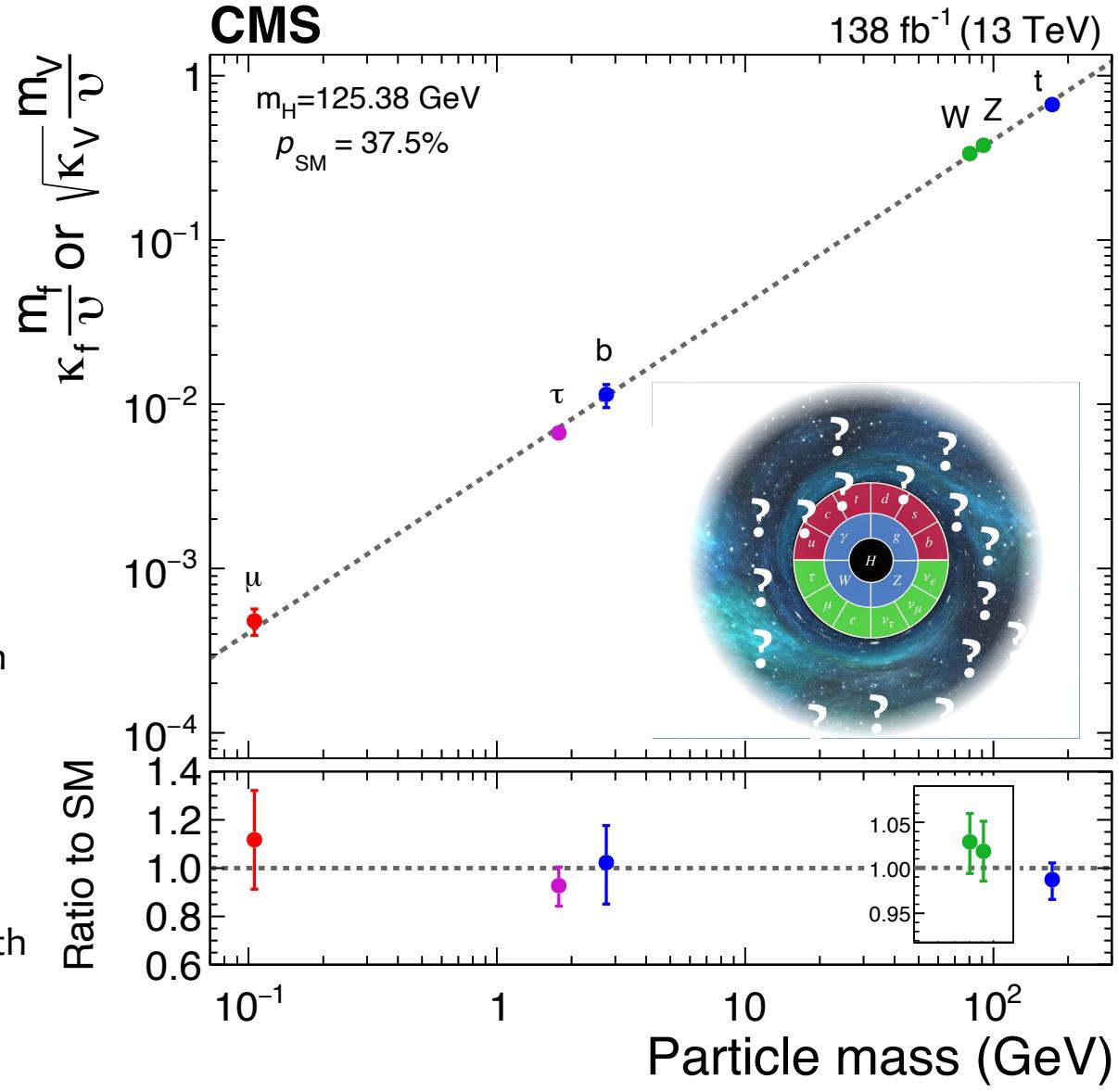
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We are **only 10 years** in so far!

- **20x more data** by the end of the **HL-LHC**
- **Future colliders** will bring ultimate precision for **Higgs boson measurements in the search for new physics!**



# Precision measurements for discovery



Higgs boson  
discovery (2012)

Time/precision

# Precision measurements for discovery



Higgs boson  
discovery (2012)



12 years of  
measurements  
(2024)

Time/precision

# Precision measurements for discovery



Higgs boson  
discovery (**2012**)



12 years of  
measurements  
(**2024**)



Run-3/HL-LHC/Future  
collider ? (**20XX?**)

Time/precision

**Thanks!**

# Backup Slides

# CMS Higgs Observation statistical model

16/04/2024

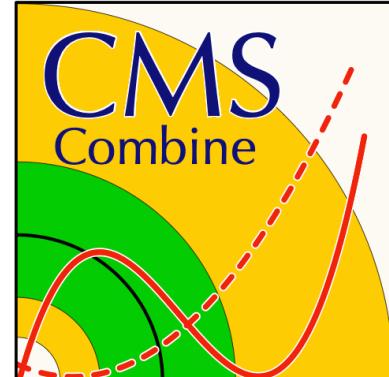


CERN  
416,893 followers  
2h ·

CMS releases #HiggsBoson discovery data to the public

...

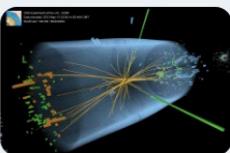
Full statistical model from CMS Higgs observation and code to use it made public in April this year (it only took 12 years 😊)



The **CMS Collaboration** has recently released, in electronic format, the combination of the measurements that contributed to establishing the discovery of the Higgs boson in 2012.

This release coincides with the publication of the **Combine** software – the statistical analysis tool that CMS developed during the first run of **#LHC**, to search for the unique particle, which has since been adopted throughout the collaboration.

Find out more: [https://lnkd.in/gq\\_Tb5UB](https://lnkd.in/gq_Tb5UB)



CMS releases Higgs boson discovery data to the public

home.cern • 3 min read

Full statistical model + data = public experimental likelihood!

`combine 125.5/comb.txt --mass 125.5 -M Significance`

-- Significance --

Significance: 4.87557

Done in 1.76 min (cpu), 1.76 min (real)

Can reproduce results from 2012 on your laptop!

New CMS policy to “routinely” provide this information for analyses, including **more recent Higgs combinations**

# Pre-discovery ...

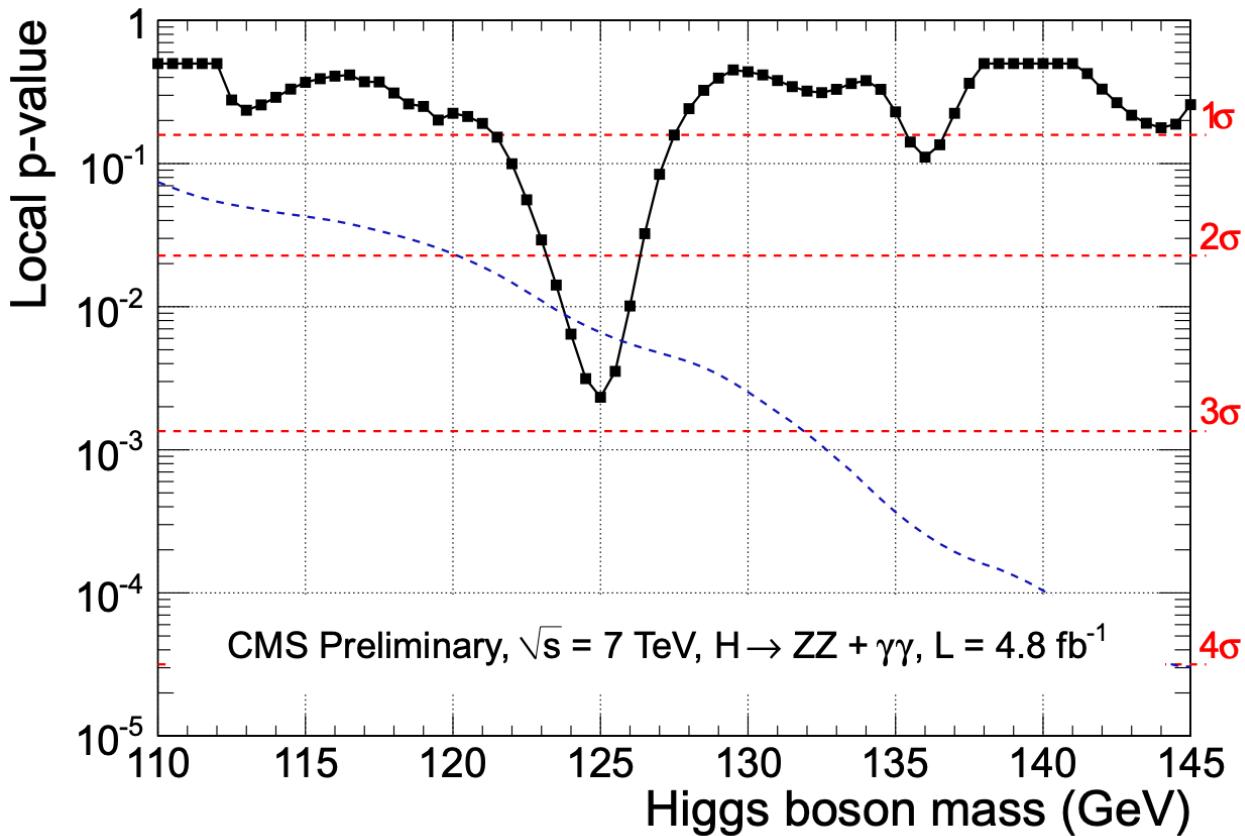
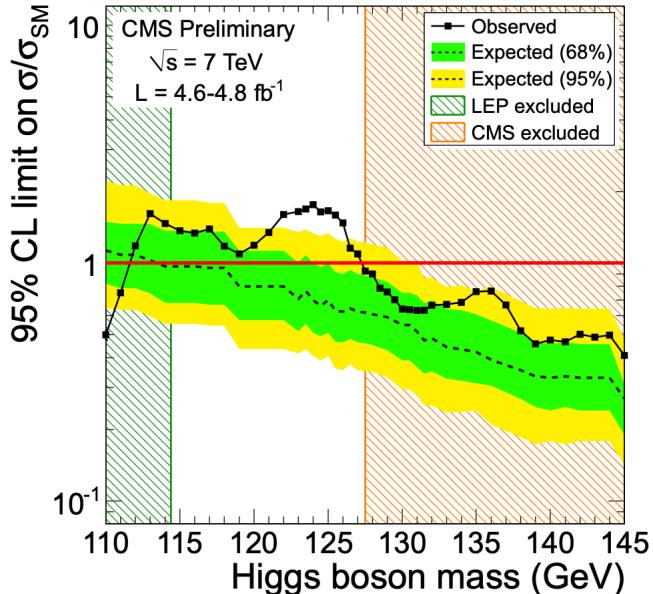


R. Heuer (4<sup>th</sup> June)

Status ~ today

SM Higgs boson excluded with 95% cl  
up to a mass of 600 GeV  
except for the window **122.5 to 127.5** GeV

“interesting fluctuations” around masses  
of **124 to 126** GeV

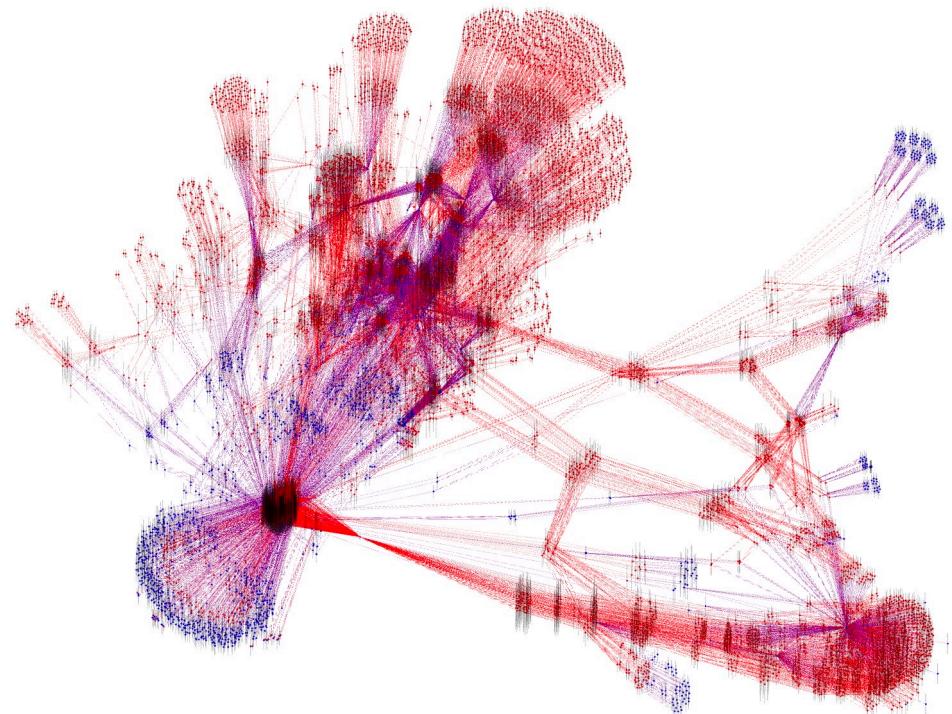
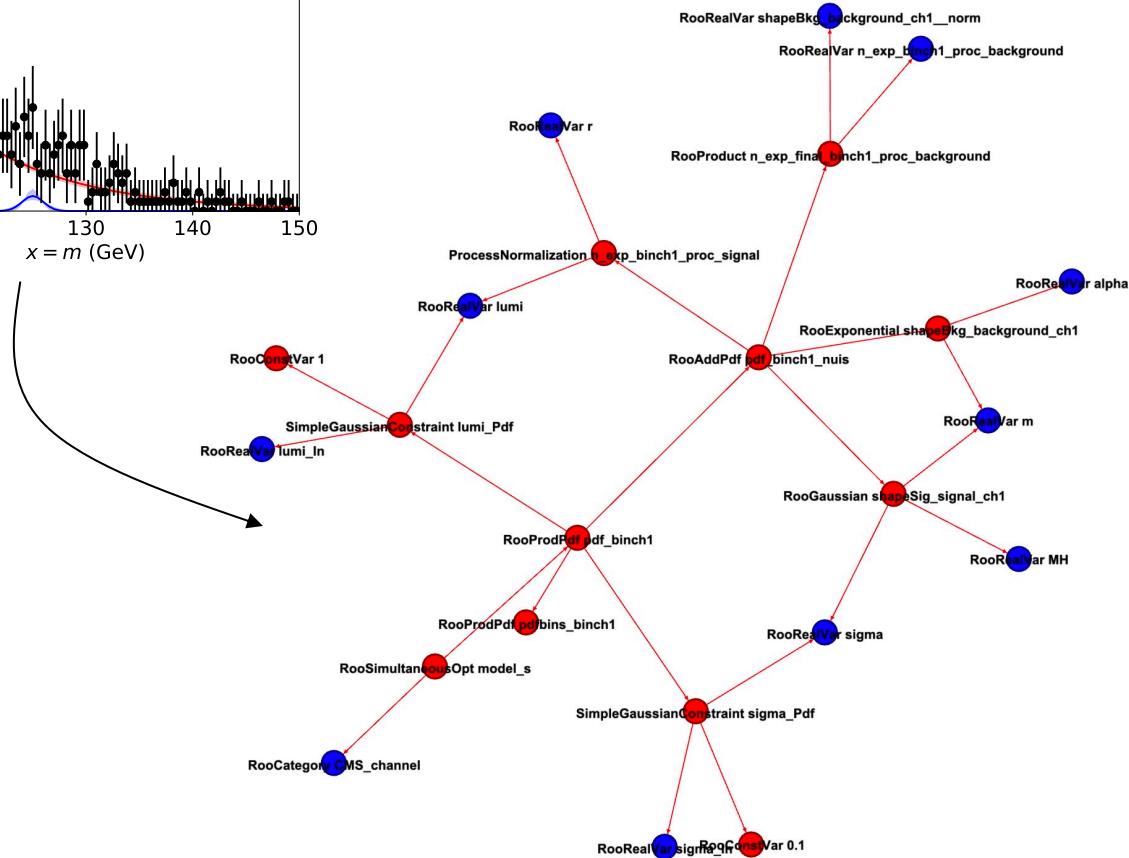
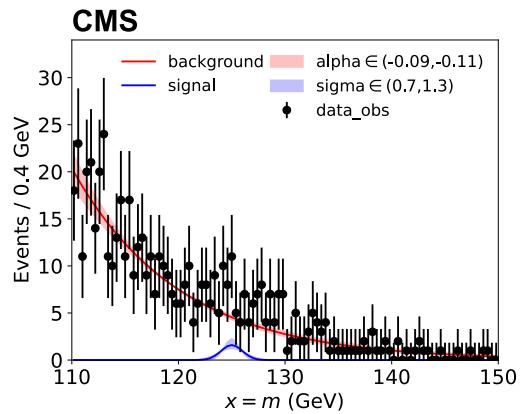


N. Wardle (8<sup>th</sup> June)

- Excess observed at 125 GeV, local significance  $2.8\sigma$  ( $1.6\sigma$  with LEE)
- CMS will continue to run in 2012 at 8 TeV. Can expect to be sensitive to SM this year

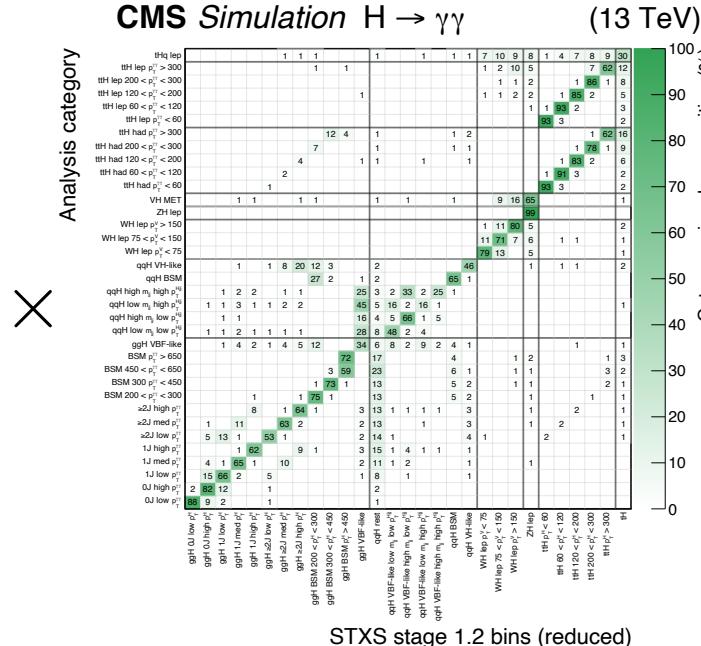
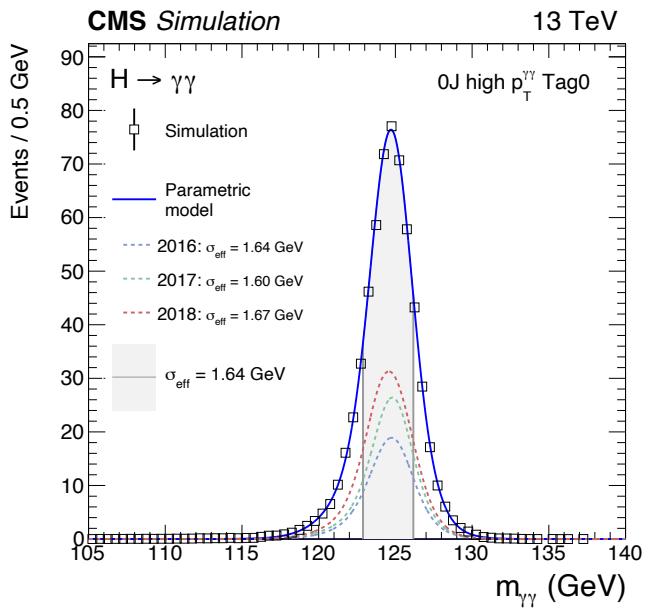
# Simple Model vs Combination

## Simple parametric statistical model



## CMS Higgs observation combination statistical model

$$L(\vec{\mu}, \vec{\nu}) = \prod_n p \left( x_n; \sum_{i,f} \mu_i \mu^f S_{i,n}^f(\vec{\nu}) + \sum_k B_k(\vec{\nu}) \right) \cdot \prod_i p(y_i; \nu_i)$$



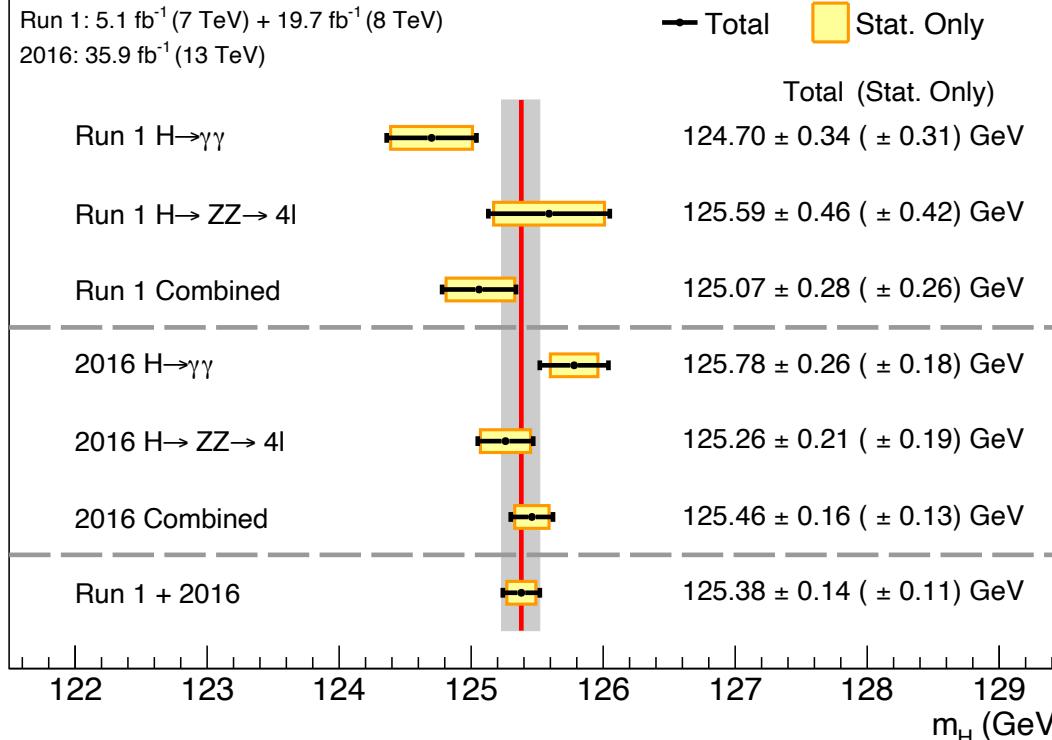
$$\times \mathcal{L} \times \varepsilon \times A$$

Signal model, accounts for  
“shape” of signal processes

- Relative composition across signal regions
- Overall Efficiency x acceptance

# CMS combined $m_H$

CMS

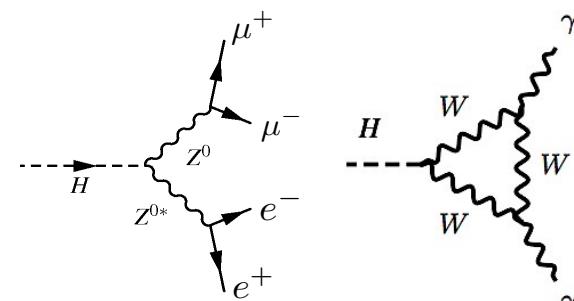


**Systematic uncertainty in  $\gamma\gamma$  dominates, mostly due to details of ECAL calibration and shower modelling**

[Phys. Lett. B 805 \(2020\) 135425](https://doi.org/10.1016/j.physlettb.2020.135425)

Most precise measurement of  $m_H$  from CMS 2016 (Run-2 13 TeV) dataset

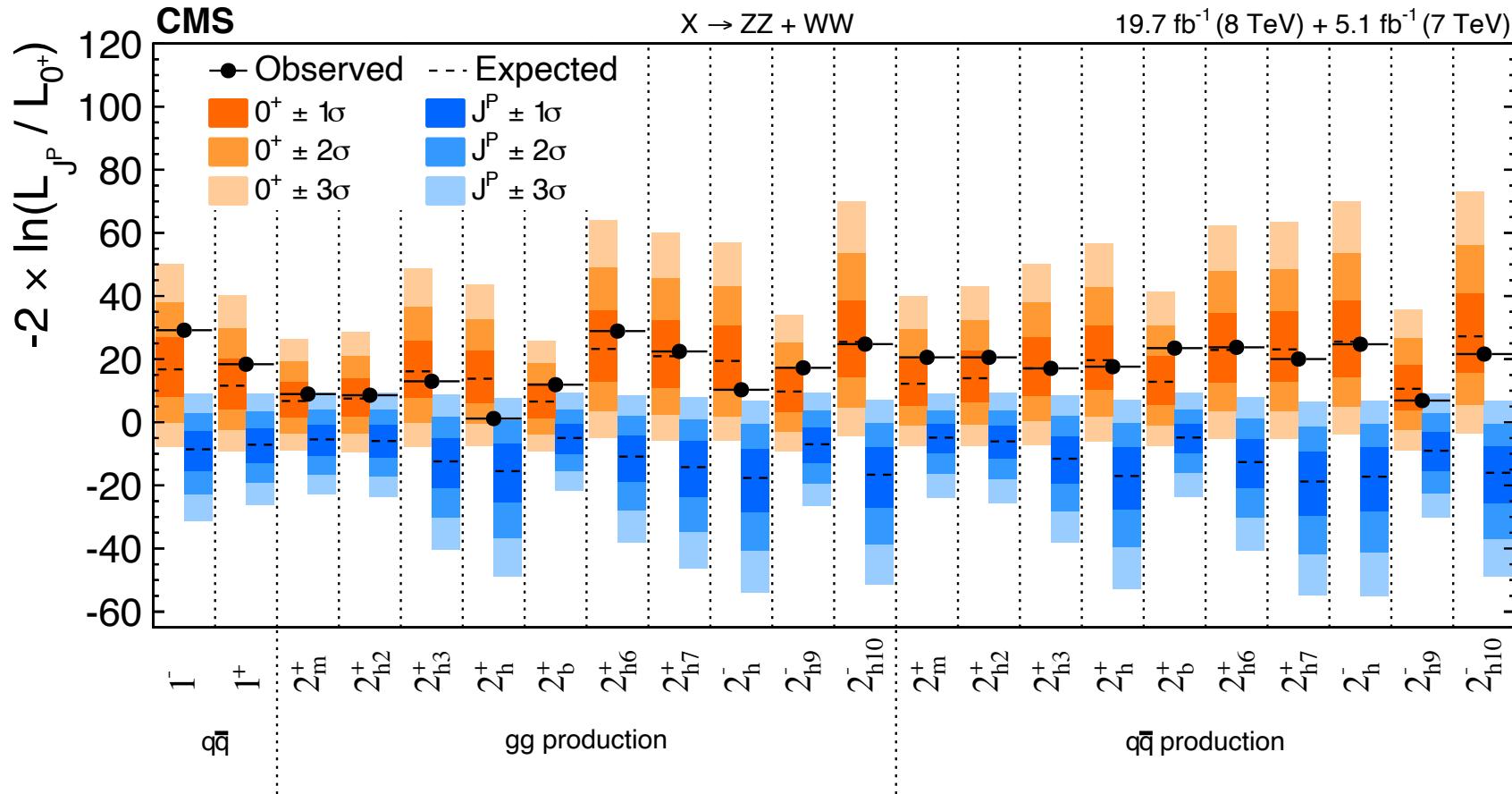
Combination of 4l and  $\gamma\gamma$  decay channels



Source	Contribution (GeV)
Electron energy scale and resolution corrections	0.10
Residual $p_T$ dependence of the photon energy scale	0.11
Modelling of the material budget	0.03
Nonuniformity of the light collection	0.11
Total systematic uncertainty	0.18
Statistical uncertainty	0.18
Total uncertainty	0.26

# No Zero - Spin zone

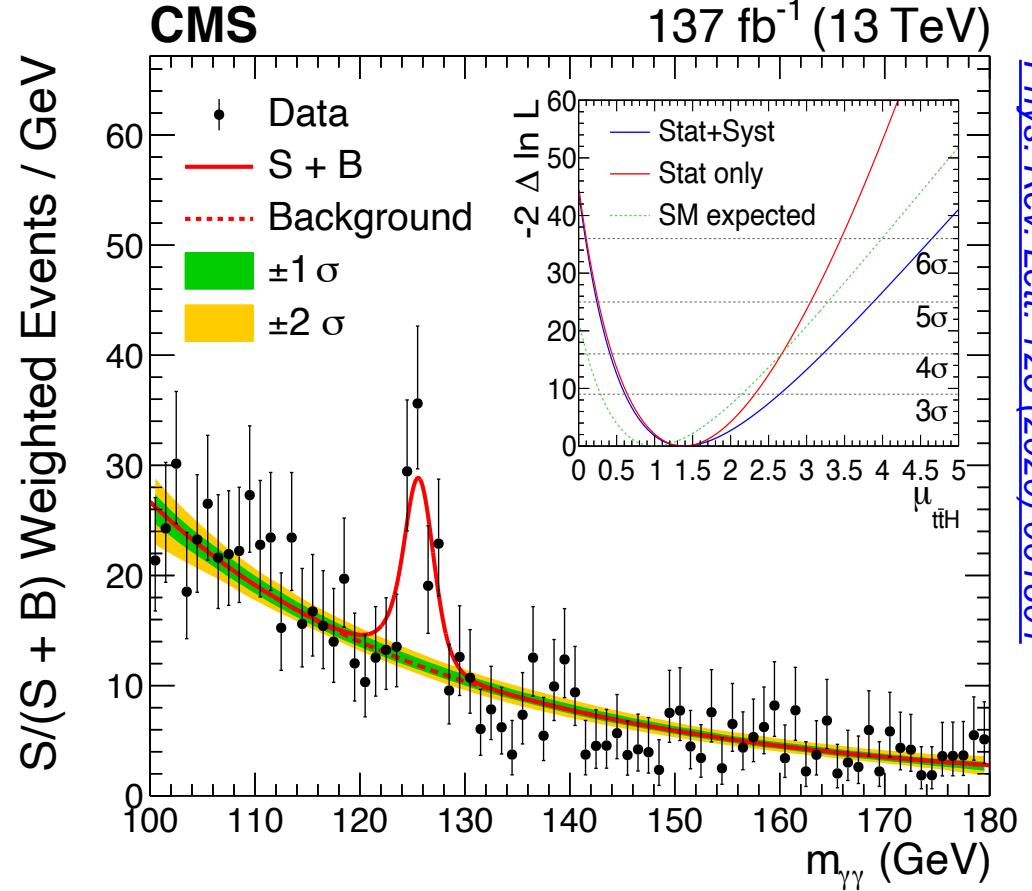
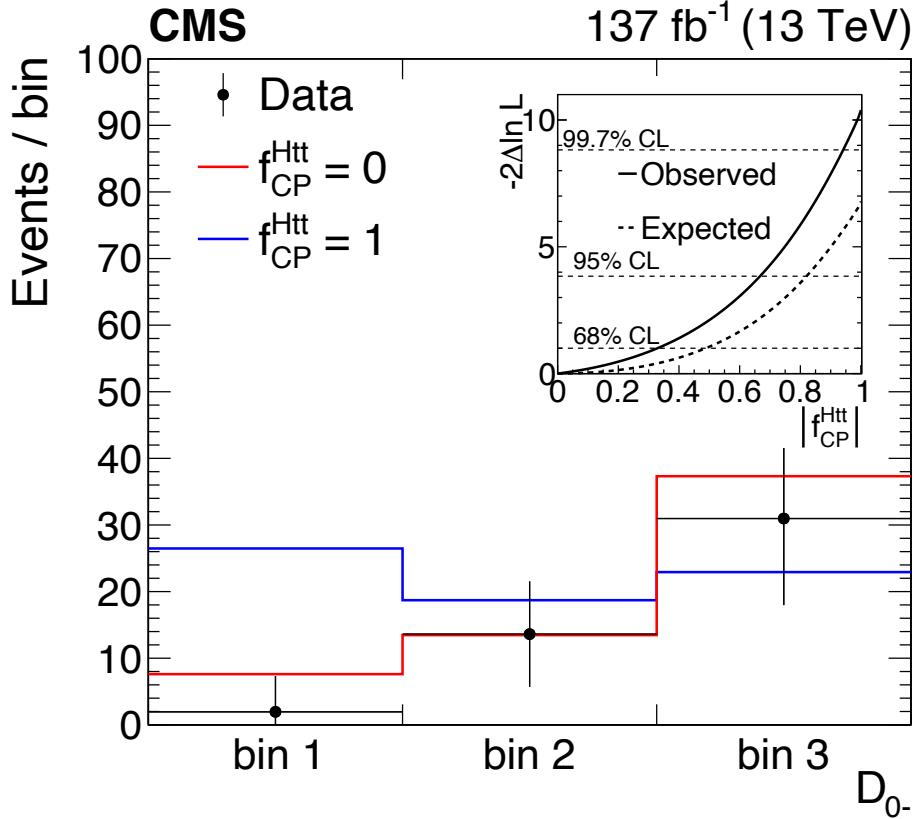
Hypothesis tests for **non-nested models** used to distinguish  $O^+$  from other  $J^{CP}$  states.



Run-1 data is already enough to rule out spin-2 (and many other  $J^P$  states) at > 99.9% confidence level

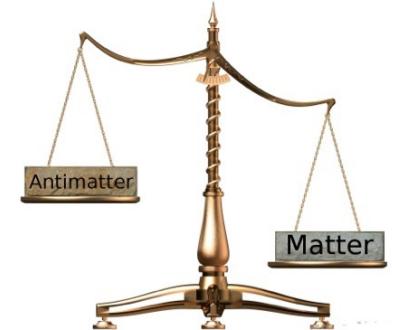
# Matter-vs-anti-matter

Measurements of top-H coupling in different kinematic regions could reveal **charge-parity odd** processes in Higgs-fermion couplings



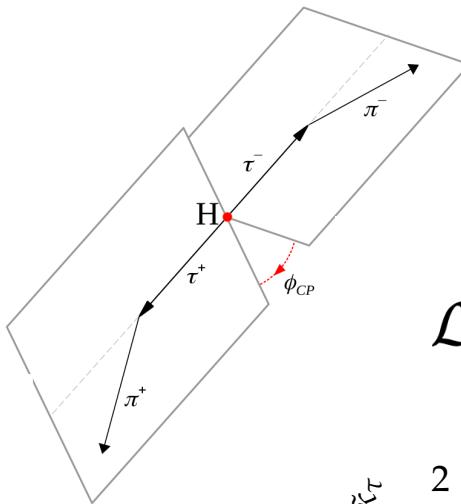
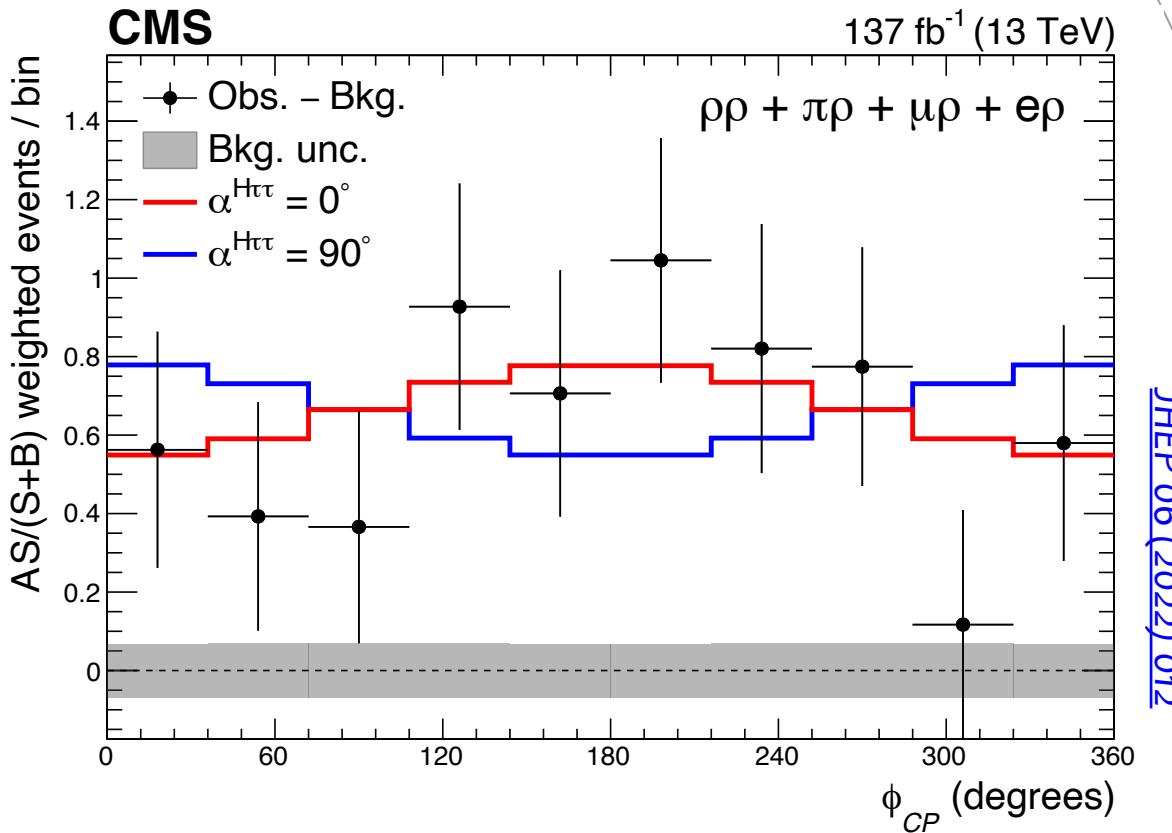
$$\mathcal{A}(H_{tt}) = -\frac{m_t}{v} \bar{\psi}_t \left( \kappa_t + i \tilde{\kappa}_t \gamma_5 \right) \psi_t,$$

$$f_{CP}^{Htt} = \frac{|\tilde{\kappa}_t|^2}{|\kappa_t|^2 + |\tilde{\kappa}_t|^2} \text{ sign}(\tilde{\kappa}_t / \kappa_t).$$

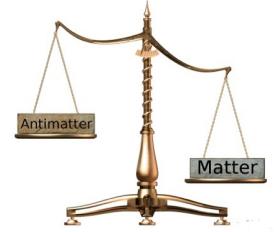
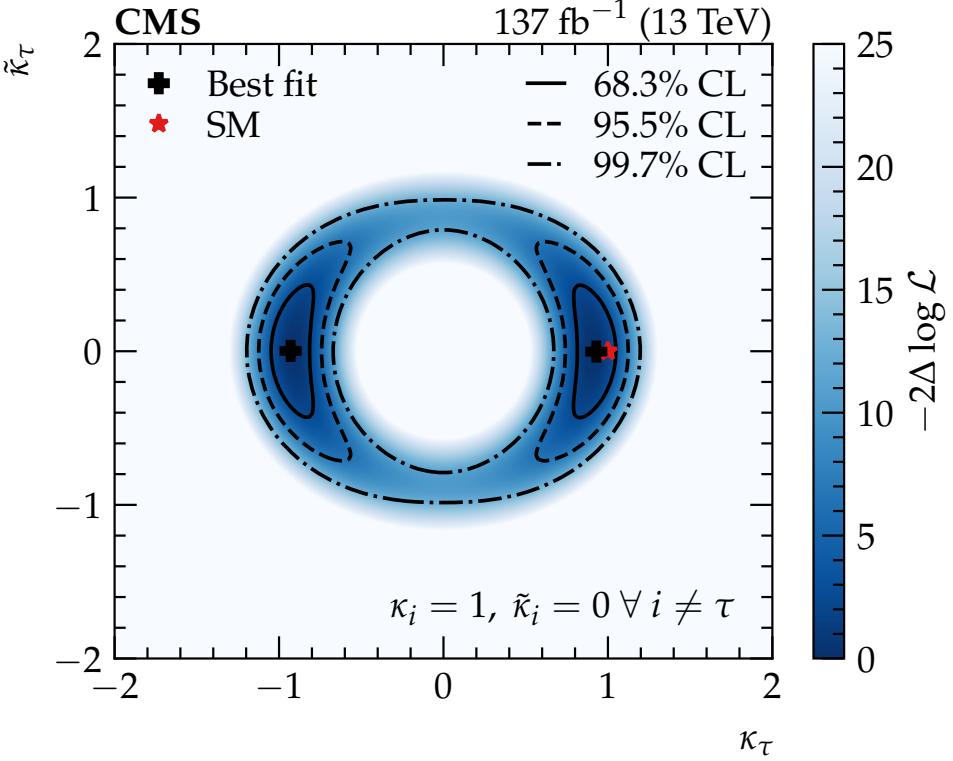


# Matter-vs-anti-matter

Differential measurements of tau-decay products in  $H \rightarrow \tau\tau$  constrains **CP-odd contributions** to Higgs-tau coupling



$$\mathcal{L}_Y = -\frac{m_\tau H}{v} (\kappa_\tau \bar{\tau}\tau + \tilde{\kappa}_\tau \bar{\tau} i\gamma_5 \tau)$$

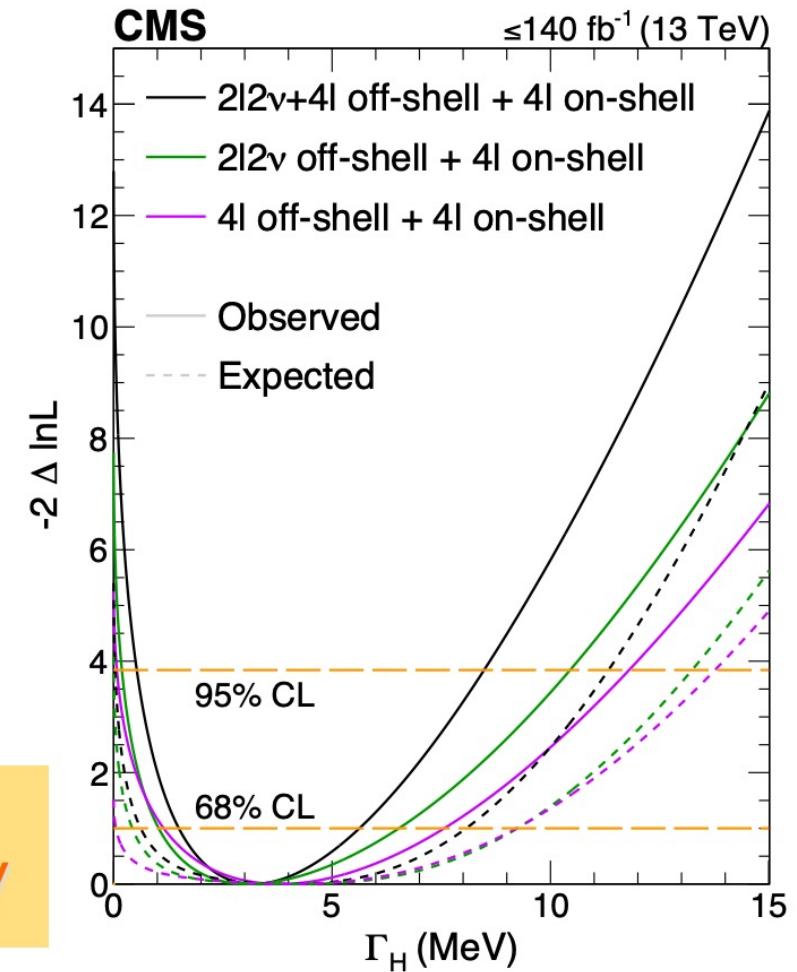
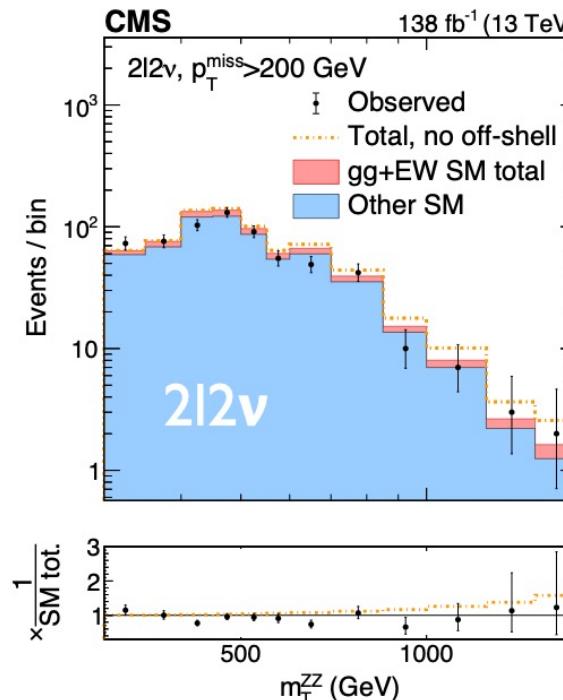
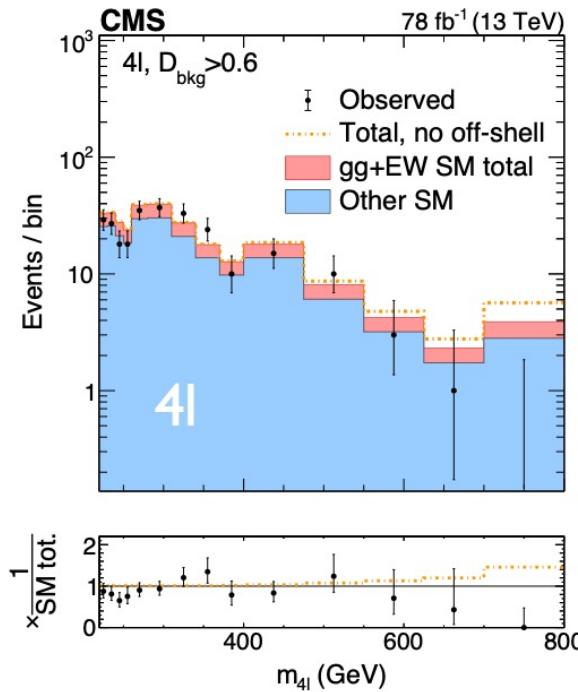


# Higgs width

## Measurements of the Higgs width from off-shell production

Measurements in **4l** and **2l2v** final states and for different production modes (CMS: ttH, VH, VBF, ggH)

arXiv:2202.06923



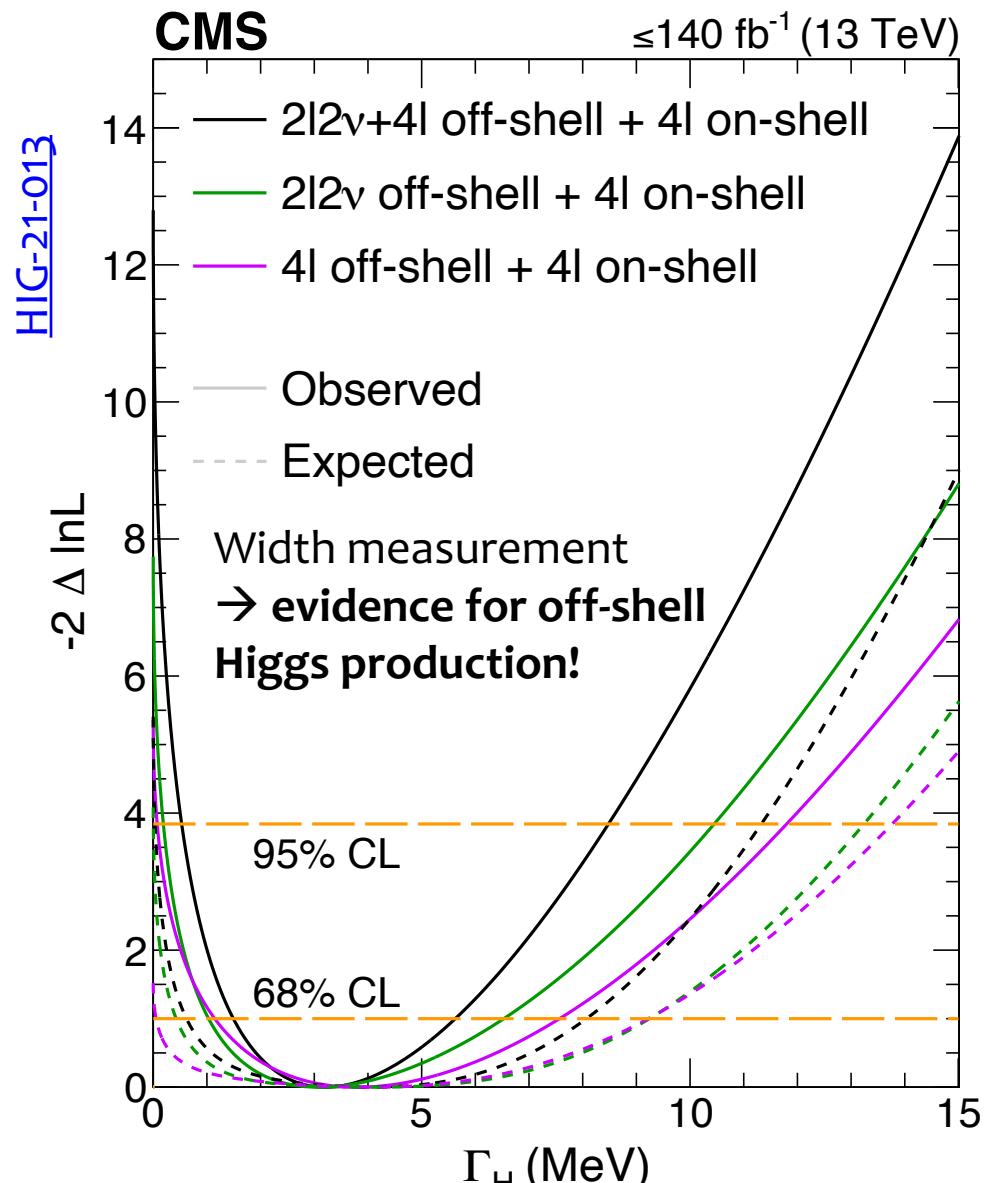
Slide by M.  
Delmastro

140  $\text{fb}^{-1}$  on-shell 4l  
78  $\text{fb}^{-1}$  off-shell 4l  
138  $\text{fb}^{-1}$  off-shell 2l2v

3.6  $\sigma$  evidence for  
off-shell H production

CMS  
 $\Gamma_H = 3.2^{+2.5}_{-1.7}$  MeV

# Higgs boson width

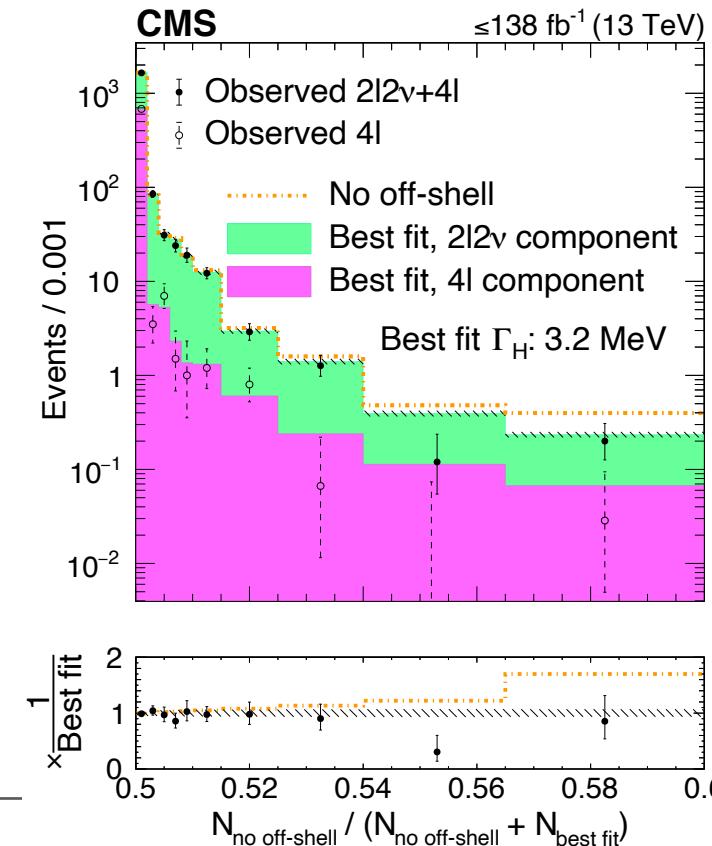


$$\frac{d\sigma_{gg \rightarrow H \rightarrow ZZ}}{dm_{ZZ}^2} \sim \frac{g_{ggH}^2 g_{HZZ}^2}{(m_{ZZ}^2 - m_H^2)^2 + m_H^2 \Gamma_H^2},$$

$$\sigma_{gg \rightarrow H \rightarrow ZZ^*}^{\text{on-shell}} \sim \frac{g_{ggH}^2 g_{HZZ}^2}{m_H \Gamma_H} \quad \text{and} \quad \sigma_{gg \rightarrow H^* \rightarrow ZZ}^{\text{off-shell}} \sim \frac{g_{ggH}^2 g_{HZZ}^2}{(2m_Z)^2}.$$

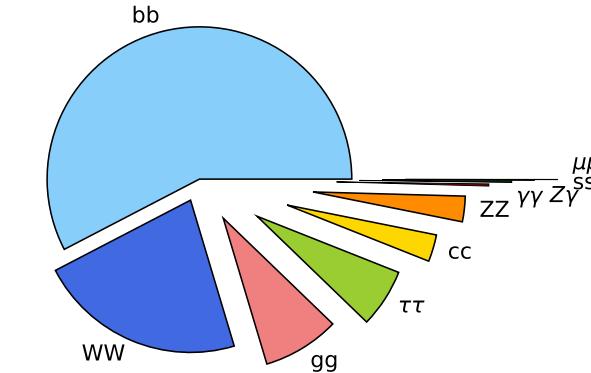
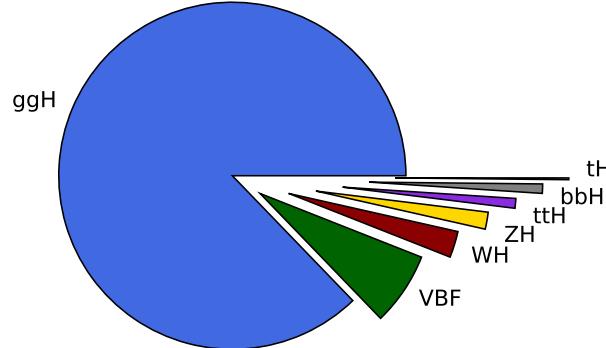
$m_{ZZ} \sim m_H$   
(On-shell production)

$m_{ZZ} > m_{2Z}$   
(Off-shell production)

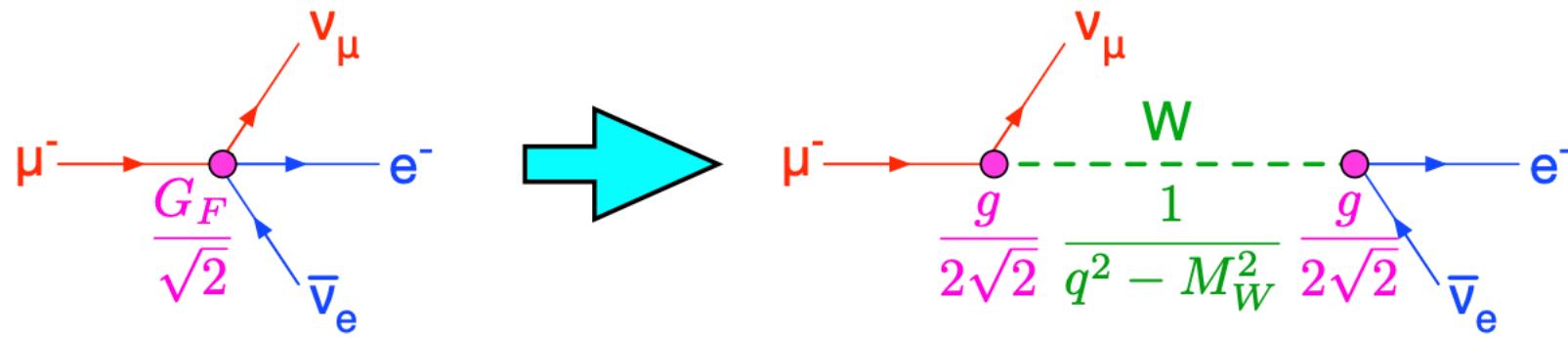


# Higgs prod & decay

Production mode	Cross section (pb)	Decay channel	Branching fraction (%)
ggH	$48.31 \pm 2.44$	bb	$57.63 \pm 0.70$
VBF	$3.771 \pm 0.807$	WW	$22.00 \pm 0.33$
WH	$1.359 \pm 0.028$	gg	$8.15 \pm 0.42$
ZH	$0.877 \pm 0.036$	$\tau\tau$	$6.21 \pm 0.09$
ttH	$0.503 \pm 0.035$	cc	$2.86 \pm 0.09$
bbH	$0.482 \pm 0.097$	ZZ	$2.71 \pm 0.04$
tH	$0.092 \pm 0.008$	$\gamma\gamma$	$0.227 \pm 0.005$
		$Z\gamma$	$0.157 \pm 0.009$
		ss	$0.025 \pm 0.001$
		$\mu\mu$	$0.0216 \pm 0.0004$



# Fermi theory & the muon decay

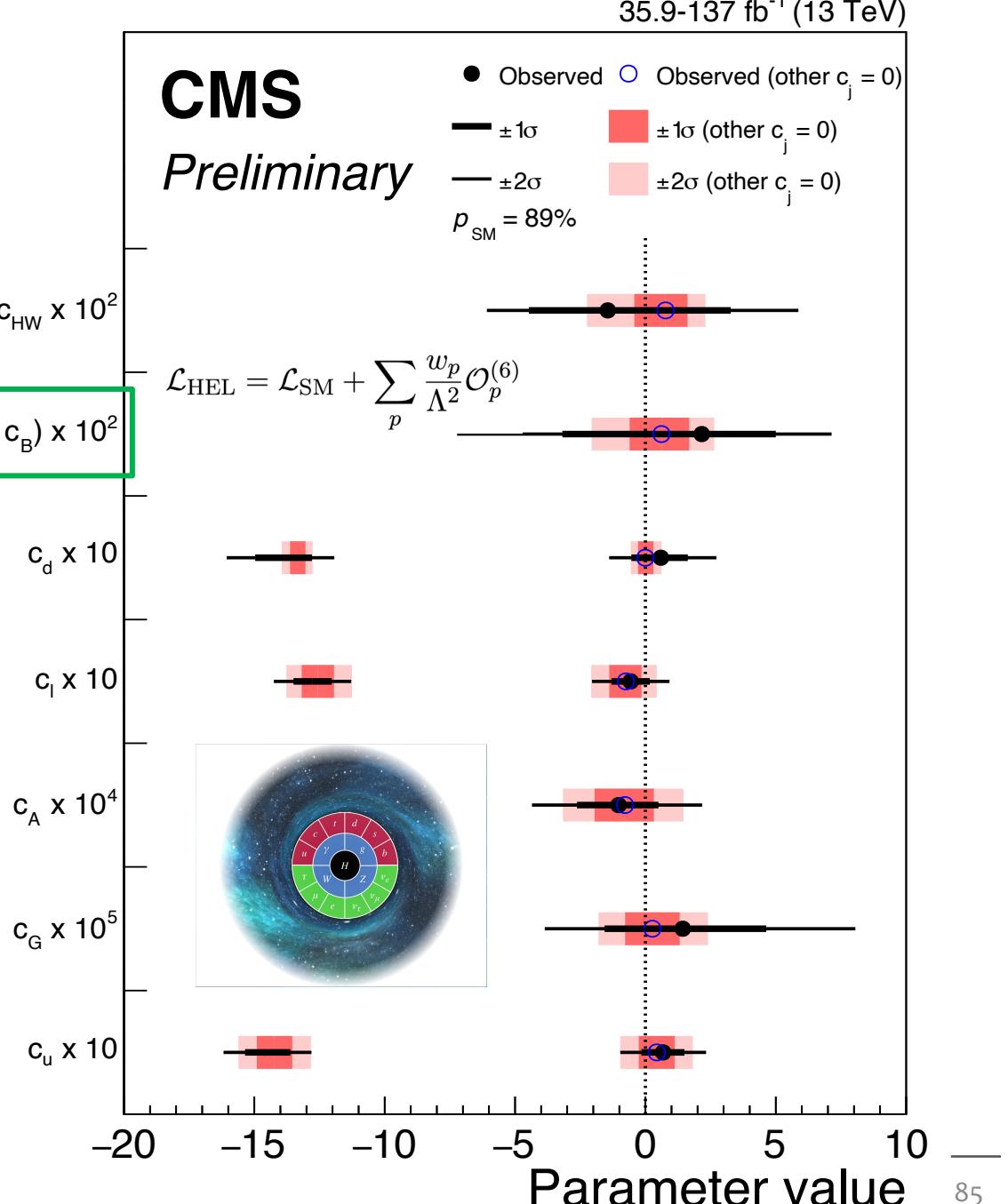
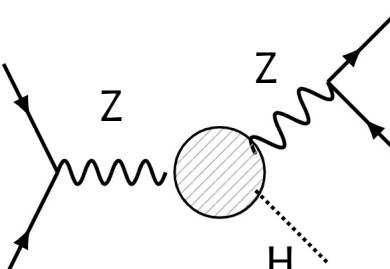
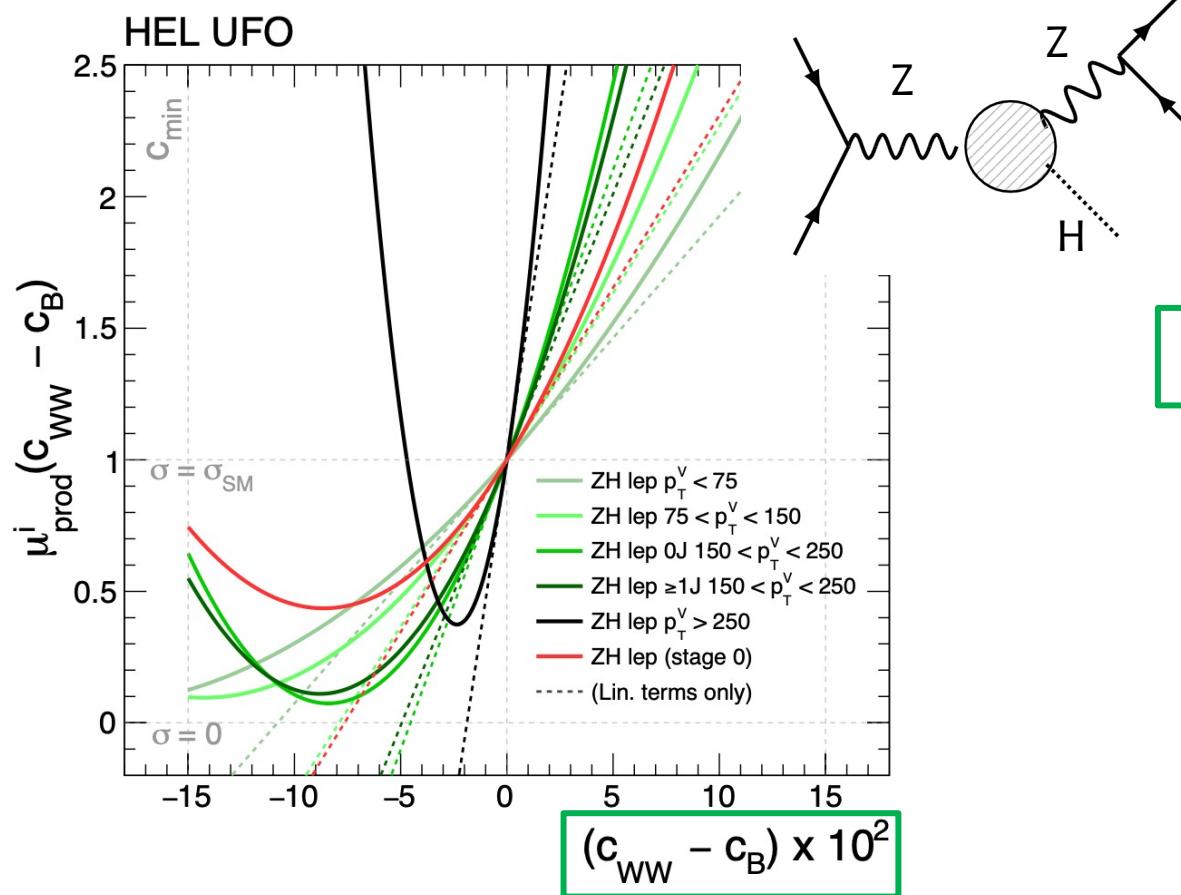


In the limit  $q^2 \rightarrow 0$ , fermi constant is completely determined by the Higgs vacuum expectation value  $v$

$$\frac{G_F}{\sqrt{2}} = \left[ \frac{g}{2\sqrt{2}} \right]^2 \frac{1}{M_W^2} = \frac{g^2}{8M_W^2} = \frac{g^2}{8(gv/2)^2} = \frac{1}{2v^2}$$

$$\Gamma_\mu = \frac{\hbar}{\tau_\mu} = \frac{G_F^2 m_\mu^5}{192\pi^3} = \frac{m_\mu^5}{384\pi^3 v^4}$$

# Effective field theories



EFTs allow us to coherently correlate measurements across different production & decay, from different kinematic regions, to pick out coherent BSM effects → **guide on the path to New Physics!**

**Table 7.6:** The dimension-6 operator subset,  $\{\mathcal{O}\}$ , considered in the Warsaw basis parametrisation shown in Appendix I. An example Feynman diagram of the corresponding contact interaction is shown for each operator. The quantity,  $\sigma^{\mu\nu}$ , is defined by the gamma matrices relation:  $\sigma^{\mu\nu} = i[\gamma_\mu, \gamma_\nu]/2$ . A U<sup>3</sup>(5) flavour symmetry is assumed, such that in the diagrams, u, d and  $\ell$  represent all up-type quarks, all down-type quarks, and all charged leptons, respectively.

Parameter	Operator definition	Example diagram
$C_{H\text{Box}}$	$(H^\dagger H)\square(H^\dagger H)$	
$C_{HDD}$	$(H^\dagger D^\mu H)^*(H^\dagger D_\mu H)$	
$C_{HG}$	$(H^\dagger H)(G_{\mu\nu}^a G^{a,\mu\nu})$	
$C_{HW}$	$(H^\dagger H)(W_{\mu\nu}^i W^{i,\mu\nu})$	
$C_{HB}$	$(H^\dagger H)(B_{\mu\nu} B^{\mu\nu})$	
$C_{HWB}$	$(H^\dagger \sigma^i H)(W_{\mu\nu}^i B^{\mu\nu})$	
$ C_{eH} $	$(H^\dagger H)(\bar{L}_L \ell_R H)$	
$ C_{uH} $	$(H^\dagger H)(\bar{Q}_L u_R \tilde{H})$	
$ C_{dH} $	$(H^\dagger H)(\bar{Q}_L d_R H)$	

Parameter	Operator definition	Example diagram
$ C_{uG} $	$(\bar{Q}_L \sigma^{\mu\nu} T^a u_R)(\tilde{H} G^{a,\mu\nu})$	
$C_{H\ell}^{(1)}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{L}_L \gamma^\mu L_L)$	
$C_{H\ell}^{(3)}$	$(H^\dagger i \overleftrightarrow{D}_\mu^i H)(\bar{L}_L \sigma^i \gamma^\mu L_L)$	
$C_{Hq}^{(1)}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{Q}_L \gamma^\mu Q_L)$	
$C_{Hq}^{(3)}$	$(H^\dagger i \overleftrightarrow{D}_\mu^i H)(\bar{Q}_L \sigma^i \gamma^\mu Q_L)$	
$C_{He}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{\ell}_R \gamma^\mu \ell_R)$	
$C_{Hu}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{u}_R \gamma^\mu u_R)$	
$C_{Hd}$	$(H^\dagger i \overleftrightarrow{D}_\mu H)(\bar{d}_R \gamma^\mu d_R)$	
$C_{\ell\ell}^{(1)}$	$(\bar{L}_L \gamma_\mu L_L)(\bar{L}_L \gamma^\mu L_L)$	

**Table 7.1:** The dimension-6 operator subset,  $\{\mathcal{O}\}$ , considered in the HEL interpretation. The definition of each operator is provided in terms of the SM field tensors. In addition, the corresponding HEL parameter is defined in terms of the nominal EFT Wilson coefficients. The final two columns show the affected Higgs boson interaction vertices and an example Feynman diagram of the EFT interaction.

Operator	Definition	HEL Parameter	Relevant vertices	Example diagrams
$\mathcal{O}_G$	$ H ^2 G_{\mu\nu}^a G^{a,\mu\nu}$	$c_G = \frac{m_W^2}{g_s^2} \frac{w_G}{\Lambda^2}$	Hgg	
$\mathcal{O}_A$	$ H ^2 B_{\mu\nu} B^{\mu\nu}$	$c_A = \frac{m_W^2}{g_s^2} \frac{w_A}{\Lambda^2}$	H $\gamma\gamma$ , HZZ	
$\mathcal{O}_u$	$\lambda_u  H ^2 \bar{Q}_L H^\dagger u_R + \text{h.c.}$	$c_u = -v^2 \frac{w_u}{\Lambda^2}$	Htt	
$\mathcal{O}_d$	$\lambda_d  H ^2 \bar{Q}_L H^\dagger d_R + \text{h.c.}$	$c_d = -v^2 \frac{w_d}{\Lambda^2}$	Hbb	
$\mathcal{O}_\ell$	$\lambda_\ell  H ^2 \bar{\ell}_L H^\dagger \ell_R + \text{h.c.}$	$c_\ell = -v^2 \frac{w_\ell}{\Lambda^2}$	H $\tau\tau$	
$\mathcal{O}_{HW}$	$i(D^\mu H)^\dagger \sigma^a (D^\nu H) W_{\mu\nu}^a$	$c_{HW} = \frac{m_W^2}{2g} \frac{w_{HW}}{\Lambda^2}$	HWW, HZZ	
$\mathcal{O}_{WW}$	$i(H^\dagger \sigma^a D^\mu H) D^\nu W_{\mu\nu}^a$	$c_{WW} = \frac{m_W^2}{g} \frac{w_{WW}}{\Lambda^2}$	HWW, HZZ	
$\mathcal{O}_B$	$i(H^\dagger D^\mu H) \partial^\nu B_{\mu\nu}$	$c_{WW} = \frac{2m_W^2}{g'} \frac{w_B}{\Lambda^2}$	HZZ	

# Inputs to the combination

Analysis	Decay tags	Production tags
Single Higgs boson production		
$H \rightarrow \gamma\gamma$ [42]	$\gamma\gamma$	$ggH, p_T(H) \times N_j$ bins VBF/VH hadronic, $p_T(Hjj)$ bins WH leptonic, $p_T(V)$ bins ZH leptonic ttH $p_T(H)$ bins, tH
$H \rightarrow ZZ \rightarrow 4\ell$ [43]	$4\mu, 2e2\mu, 4e$	$ggH, p_T(H) \times N_j$ bins VBF, $m_{jj}$ bins VH hadronic VH leptonic, $p_T(V)$ bins ttH
$H \rightarrow WW \rightarrow \ell\nu\ell\nu$ [44]	$e\mu/ee/\mu\mu$ $\mu\mu+jj/ee+jj/e\mu+jj$ $3\ell$ $4\ell$	$ggH \leq 2\text{-jets}$ VBF VH hadronic WH leptonic ZH leptonic ggH
$H \rightarrow Z\gamma$ [45]	$Z\gamma$	VBF $ggH, p_T(H) \times N_j$ bins VH hadronic VBF
$H \rightarrow \tau\tau$ [46]	$e\mu, e\tau_h, \mu\tau_h, \bar{\tau}_h\tau_h$	VBF VH, high- $p_T(V)$ WH leptonic ZH leptonic ttH, $\rightarrow 0, 1, 2\ell + \text{jets}$ $ggH, \text{high-}p_T(H)$ bins
$H \rightarrow bb$ [47–51]	$W(\ell\nu)H(bb)$ $Z(\nu\nu)H(bb), Z(\ell\ell)H(bb)$ $bb$	$ggH$ VBF VH leptonic ZH leptonic ttH, $\rightarrow 0, 1, 2\ell + \text{jets}$ $ggH, \text{high-}p_T(H)$ bins
$H \rightarrow \mu\mu$ [52]	$\mu\mu$	$ggH$ VBF
ttH production with $H \rightarrow$ leptons [53]	$2\ell SS, 3\ell, 4\ell,$ $1\ell + \tau_h, 2\ell SS+1\bar{\tau}_h, 3\ell + 1\tau_h$	ttH
$H \rightarrow \text{Inv.}$ [71, 72]	$p_T^{\text{miss}}$	$ggH$ VBF VH hadronic ZH leptonic
Higgs boson pair production		
$HH \rightarrow bbbb$ [57, 58]	$H(bb)H(bb)$	$ggHH, VBFHH$ (resolved, boosted)
$HH \rightarrow bb\tau\tau$ [59]	$H(bb)H(\tau\tau)$	$ggHH, VBFHH$
$HH \rightarrow$ leptons [60]	$H(WW)H(WW), H(WW)H(\tau\tau), H(\tau\tau)H(\tau\tau)$	$ggHH, VBFHH$
$HH \rightarrow bb\gamma\gamma$ [61]	$H(bb)H(\gamma\gamma)$	$ggHH, VBFHH$
$HH \rightarrow bbZZ$ [62]	$H(bb)H(ZZ)$	$ggHH$

# Differential combination(s)

Channel	$H \rightarrow \gamma\gamma$	$H \rightarrow ZZ^{(*)} \rightarrow 4\ell$	$H \rightarrow W^+W^{-(*)} \rightarrow e^\pm\mu^\mp\nu_1\bar{\nu}_1$	$H \rightarrow \tau^+\tau^-$	$H \rightarrow \tau^+\tau^-$ boosted			
$p_T^H$ bin boundaries (GeV)	0 - 5	0 - 10	0 - 30	0 - 45				
	5 - 10							
	10 - 15	10 - 20						
	15 - 20							
	20 - 25	20 - 30						
	25 - 30							
	30 - 35	30 - 45	30 - 45					
	35 - 45							
	45 - 60	45 - 60	45 - 80	45 - 80				
	60 - 80							
	80 - 100	80 - 120	80 - 120	80 - 120				
	100 - 120							
	120 - 140	120 - 200	120 - 200	120 - 140				
	140 - 170							
	170 - 200							
	200 - 250	200 - $\infty$	200 - $\infty$	200 - 350				
	250 - 350							
	350 - 450							
	450 - $\infty$			450 - $\infty$	450 - 600 $\infty$ - 600			

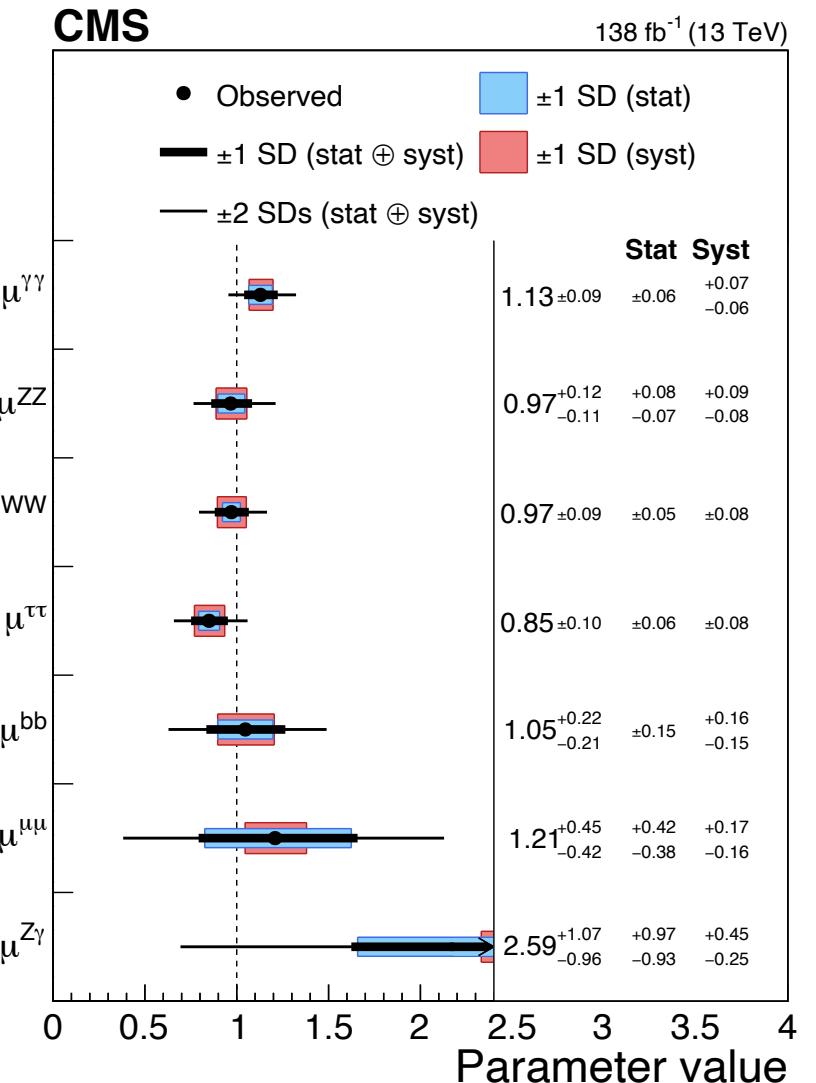
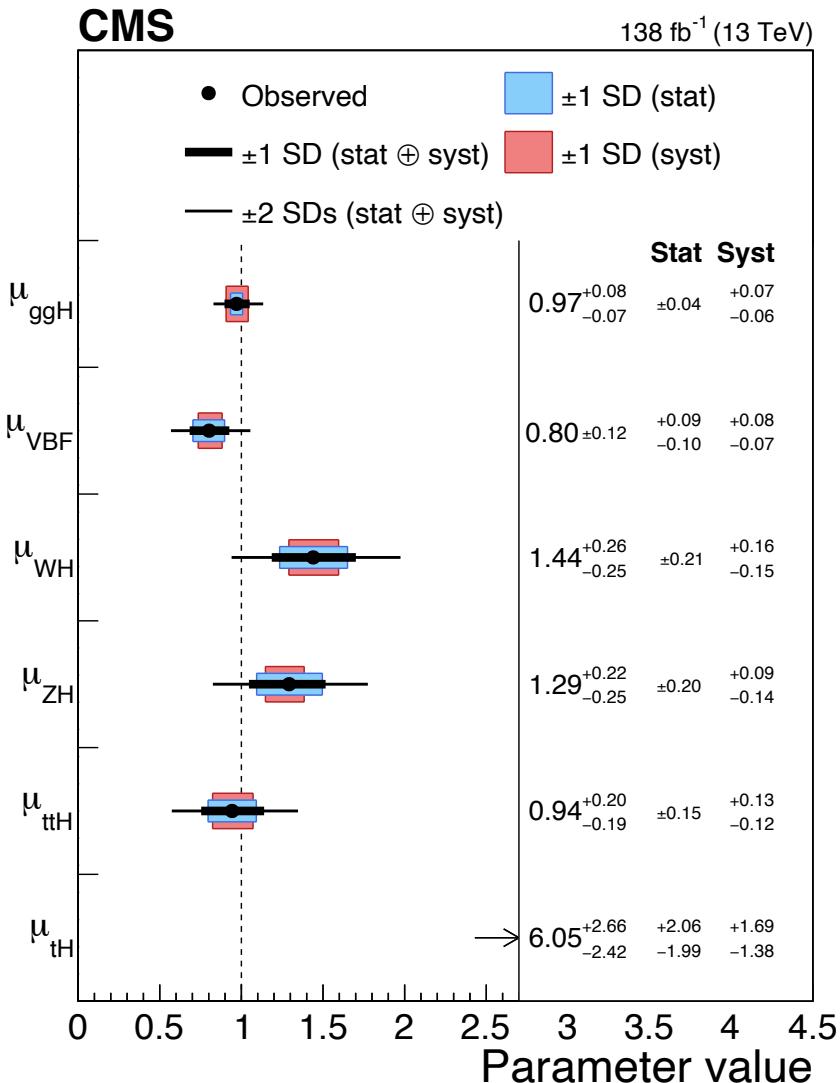
Table 1:  $p_T^H$  bin boundaries used in the combination.

# Signal strengths (stat/syst)

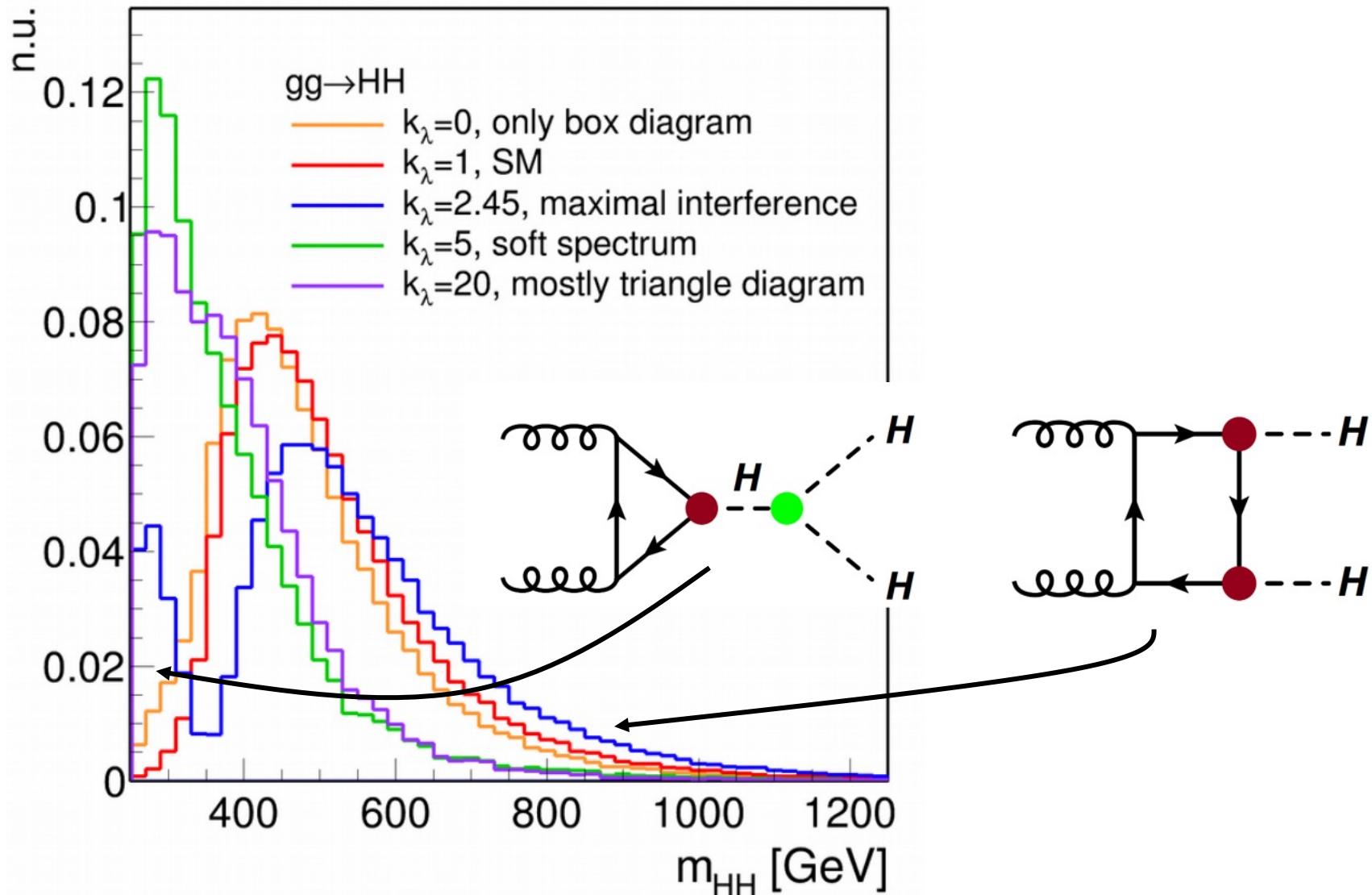
Decay mode	Production Process																
	ggH			VBF			WH			ZH			ttH				
	Best fit value	Uncertainty stat	Uncertainty syst	Best fit value	Uncertainty stat	Uncertainty syst	Best fit value	Uncertainty stat	Uncertainty syst	Best fit value	Uncertainty stat	Uncertainty syst	Best fit value	Uncertainty stat	Uncertainty syst		
H → bb	5.31 (+2.52) (-2.47)	+2.97 (+2.09) (-2.09)	+2.09 (+1.41) (-1.31)	+2.11 (-1.45)	—	—	1.26 (+0.43) (-0.41)	+0.42 (+0.33) (-0.32)	+0.33 (+0.27) (-0.26)	0.90 (+0.32) (-0.31)	+0.36 (+0.26) (-0.26)	+0.27 (+0.18) (-0.17)	0.90 (+0.47) (-0.44)	+0.46 (+0.24) (-0.24)	+0.24 (+0.40) (-0.37)		
H → ττ	0.66 (+0.25) (-0.23)	+0.21 (+0.09) (-0.09)	+0.09 (+0.19) (-0.18)	+0.19 (+0.24) (-0.21)	0.86 (+0.18) (-0.17)	+0.17 (+0.14) (-0.14)	+0.14 (+0.10) (-0.09)	1.33 (+0.59) (-0.56)	+0.61 (+0.50) (-0.48)	+0.51 (+0.31) (-0.28)	+0.34 (+0.24) (-0.24)	+0.54 (+0.48) (-0.44)	+0.54 (+0.24) (-0.14)	0.35 (+0.49) (-0.43)	+0.44 (+0.32) (-0.31)	+0.30 (+0.38) (-0.30)	
H → WW	0.90 (+0.11) (-0.11)	+0.11 (+0.06) (-0.06)	+0.05 (+0.09) (-0.09)	+0.09 (+0.10)	0.73 (+0.30) (-0.27)	+0.28 (+0.22) (-0.21)	+0.20 (+0.21) (-0.17)	2.41 (+0.60) (-0.57)	+0.72 (+0.46) (-0.45)	+0.52 (+0.37) (-0.34)	+0.50 (+0.48) (-0.48)	+0.75 (+0.60) (-0.52)	+0.66 (+0.50) (-0.49)	+0.36 (+0.25) (-0.17)	1.44 (+0.32) (-0.31)	+0.32 (+0.29) (-0.28)	+0.29 (+0.14) (-0.13)
H → ZZ	0.93 (+0.14) (-0.13)	+0.14 (+0.09) (-0.09)	+0.10 (+0.09) (-0.09)	+0.11 (+0.11)	0.32 (+0.54) (-0.44)	+0.48 (+0.52) (-0.42)	+0.44 (+0.15) (-0.12)	0.00 (+2.01) (-0.96)	+1.55 (+1.94) (-0.96)	+1.50 (+0.53) (-0.08)	+0.40 (+0.40) (-0.00)	+6.59 (+4.55) (-1.17)	+4.40 (+3.77) (-1.17)	+4.91 (+2.54) (-0.02)	0.00 (+1.44) (-0.71)	+0.73 (+1.39) (-0.71)	+0.68 (+0.38) (-0.06)
H → γγ	1.08 (+0.11) (-0.11)	+0.12 (+0.08) (-0.08)	+0.09 (+0.08) (-0.08)	+0.08 (+0.08)	1.00 (+0.34) (-0.31)	+0.35 (+0.30) (-0.29)	+0.32 (+0.17) (-0.12)	1.43 (+0.52) (-0.47)	+0.54 (+0.51) (-0.47)	+0.53 (+0.08) (-0.05)	+0.09 (+0.09) (-0.05)	+0.71 (+0.69) (-0.59)	+0.70 (+0.14) (-0.06)	+0.14 (+0.14) (-0.06)	1.38 (+0.29) (-0.25)	+0.34 (+0.26) (-0.24)	+0.28 (+0.14) (-0.08)
H → μμ	0.33 (+0.76) (-0.73)	+0.74 (+0.75) (-0.72)	+0.71 (+0.16) (-0.07)	+0.20 (+0.16)	1.55 (+0.81) (-0.70)	+0.86 (+0.73) (-0.66)	+0.75 (+0.36) (-0.23)	5.63 (+2.75) (-2.44)	+3.36 (+2.73) (-2.43)	+3.28 (+0.33) (-0.19)	+0.71 (+0.45) (-0.45)	+2.63 (+2.17) (-1.82)	+2.50 (+2.15) (-1.82)	+0.81 (+0.27) (-0.11)	3.07 (+2.17) (-1.82)	+2.63 (+2.21) (-2.20)	+2.50 (+2.20) (-0.19)
H → Zγ	3.86 (+1.23) (-1.20)	+1.39 (+1.20) (-1.18)	+1.26 (+0.30) (-0.19)	+0.60 (+0.30)	-4.43 (+3.31) (-3.88)	+3.82 (+3.19) (-3.85)	+3.77 (+0.92) (-0.43)	—	—	—	—	—	—	—	—	—	

Systematic uncertainties dominate the sensitivity in certain measurements

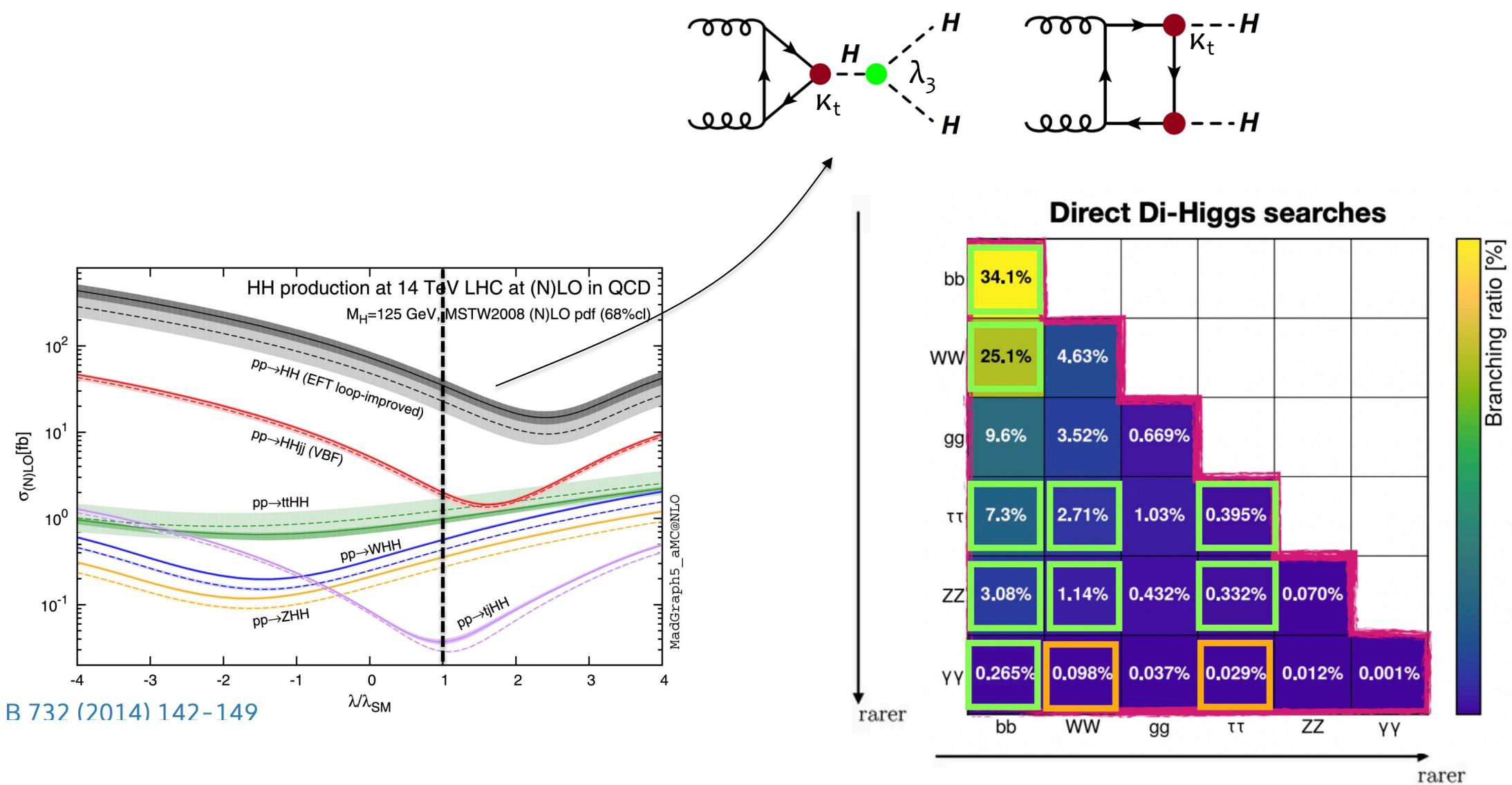
# Extracting the results

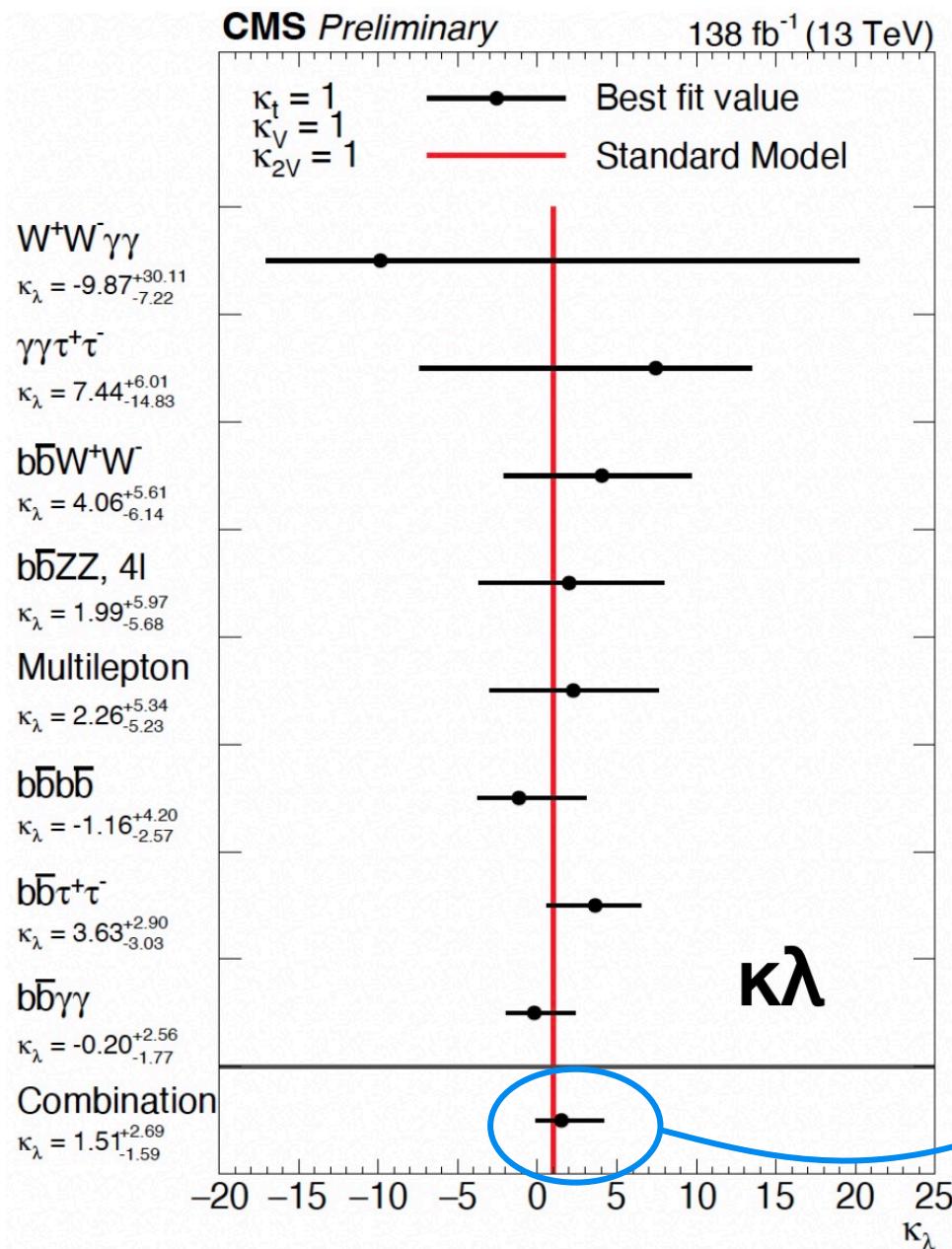


# Sensitivity to self-coupling in HH

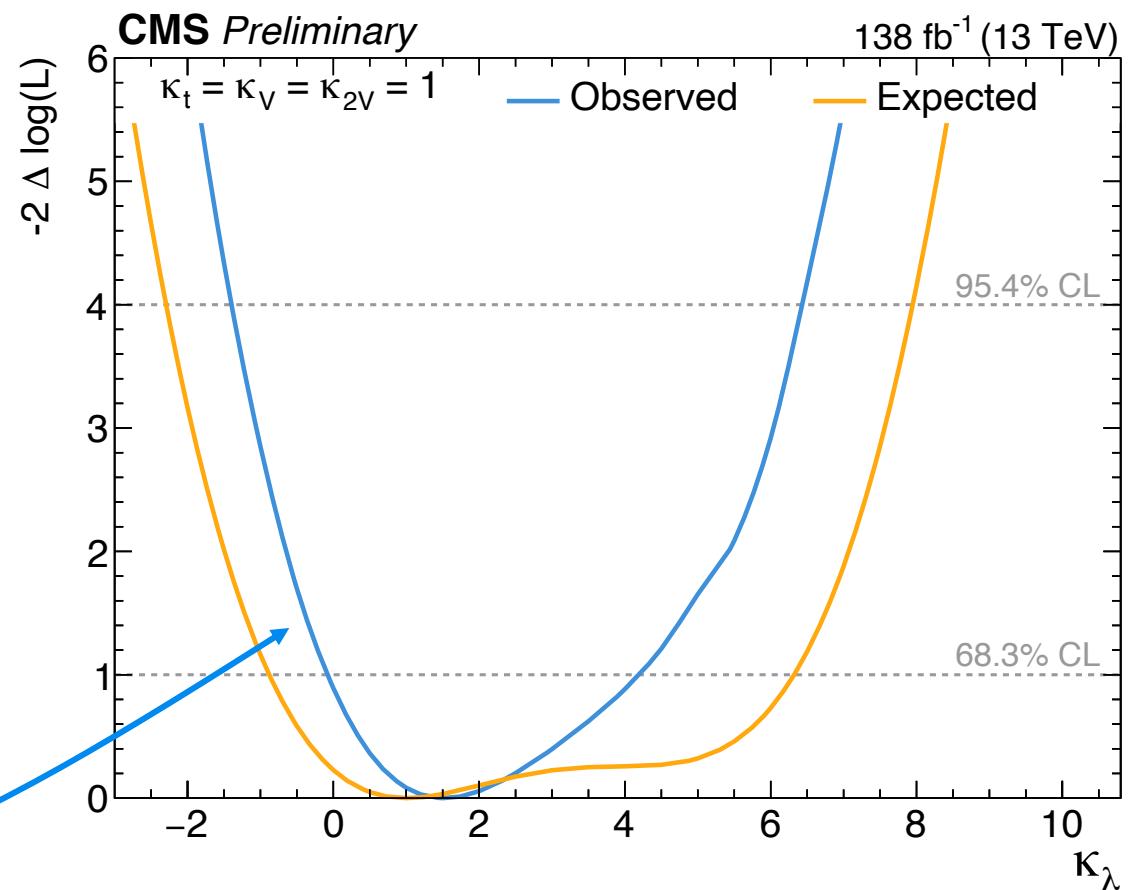


# Double Higgs double challenge!

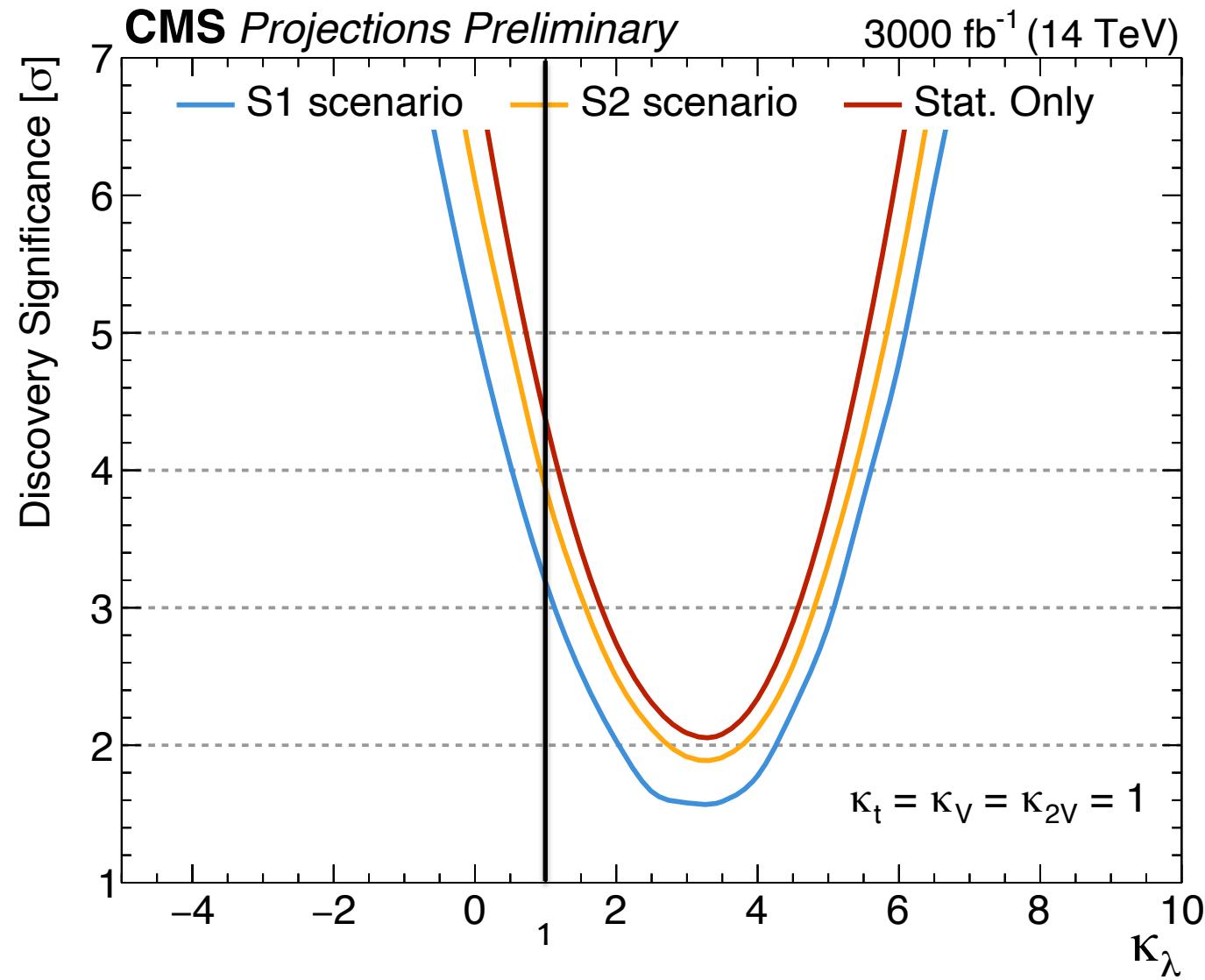




Per-channel self-coupling measurements



# Non-SM HH discovery potential



## Simple D6 term in Higgs potential

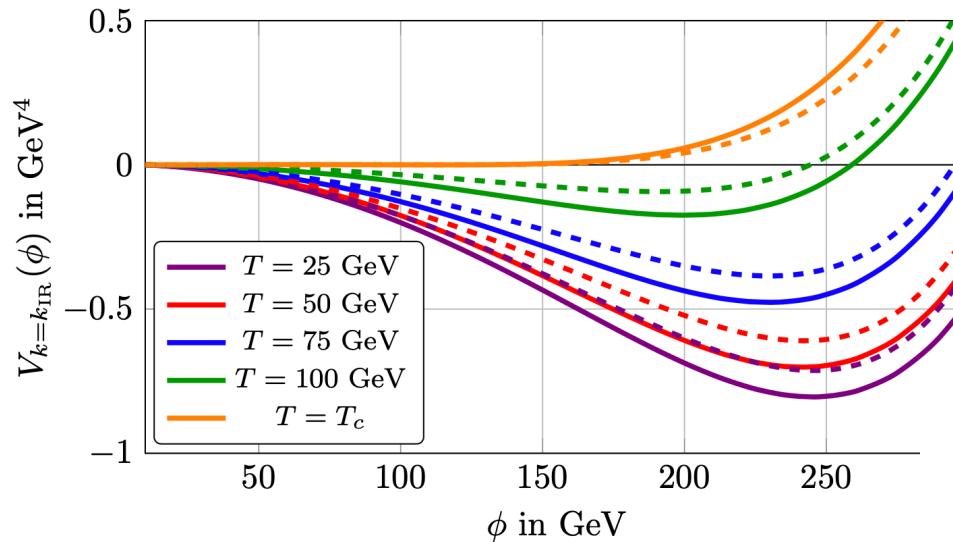
$$V = \frac{\mu^2}{2} (v + H)^2 + \frac{\lambda_4}{4} (v + H)^4 + \frac{\lambda_6}{\Lambda^2} (v + H)^6 .$$

$$m_H = \sqrt{2\lambda_4} v \left( 1 + 12 \frac{\lambda_6 v^2}{\lambda_4 \Lambda^2} \right) ,$$

$$\lambda_{H^3} = \frac{3m_H^2}{v} \left( 1 + \frac{16\lambda_6 v^4}{m_H^2 \Lambda^2} \right) \equiv \lambda_{H^3,0} \left( 1 + \frac{16\lambda_6 v^4}{m_H^2 \Lambda^2} \right) ,$$

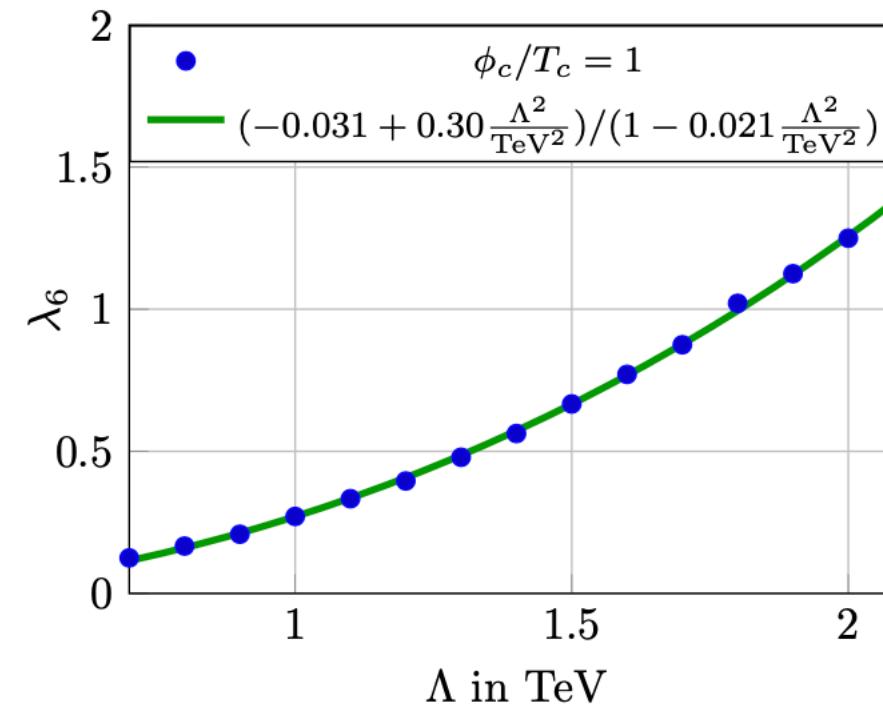
$$\lambda_{H^4} = \frac{3m_H^2}{v^2} \left( 1 + \frac{96\lambda_6 v^4}{m_H^2 \Lambda^2} \right) \equiv \lambda_{H^4,0} \left( 1 + \frac{96\lambda_6 v^4}{m_H^2 \Lambda^2} \right) .$$

## Temperature dependence



For D6, above 7TeV we end up with strong couplings (perturbativity breaks down)

$$\Lambda_6^{\text{crit}} = 7.0 \text{ TeV},$$



# MSSM SM-like couplings

	2HDM				hMSSM
	Type I	Type II	Type III	Type IV	
$\kappa_V$	$\sin(\beta - \alpha)$	$\sin(\beta - \alpha)$	$\sin(\beta - \alpha)$	$\sin(\beta - \alpha)$	$\frac{s_d + s_u \tan \beta}{\sqrt{1 + \tan^2 \beta}}$
$\kappa_u$	$\cos(\alpha) / \sin(\beta)$	$\cos(\alpha) / \sin(\beta)$	$\cos(\alpha) / \sin(\beta)$	$\cos(\alpha) / \sin(\beta)$	$s_u \frac{\sqrt{1 + \tan^2 \beta}}{\tan \beta}$
$\kappa_d$	$\cos(\alpha) / \sin(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$\cos(\alpha) / \sin(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$s_d \sqrt{1 + \tan^2 \beta}$
$\kappa_l$	$\cos(\alpha) / \sin(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$\cos(\alpha) / \sin(\beta)$	$s_d \sqrt{1 + \tan^2 \beta}$

$$s_u = \frac{1}{\sqrt{1 + \frac{(m_A^2 + m_Z^2)^2 \tan^2 \beta}{(m_Z^2 + m_A^2 \tan^2 \beta - m_H^2 (1 + \tan^2 \beta))^2}}}$$

$$s_d = s_u \frac{(m_A^2 + m_Z^2) \tan \beta}{m_Z^2 + m_A^2 \tan^2 \beta - m_H^2 (1 + \tan^2 \beta)}$$

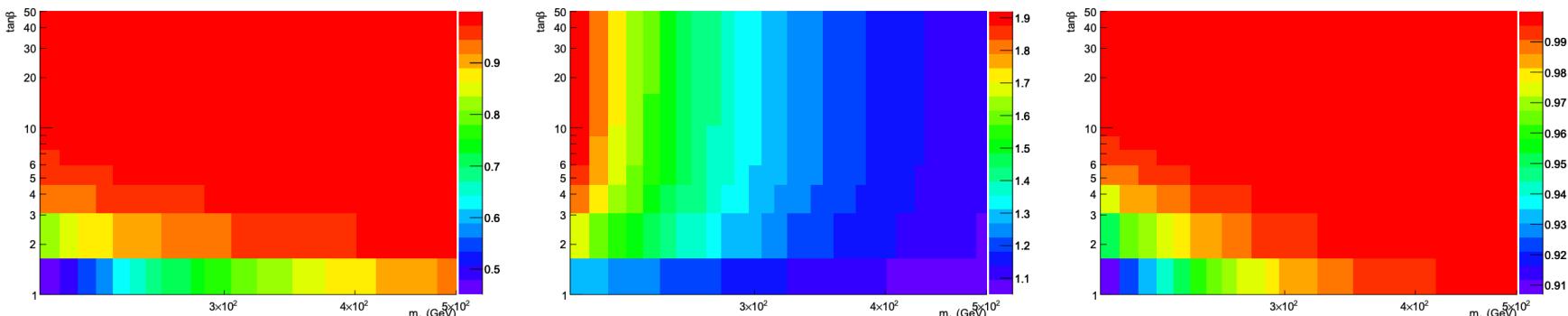
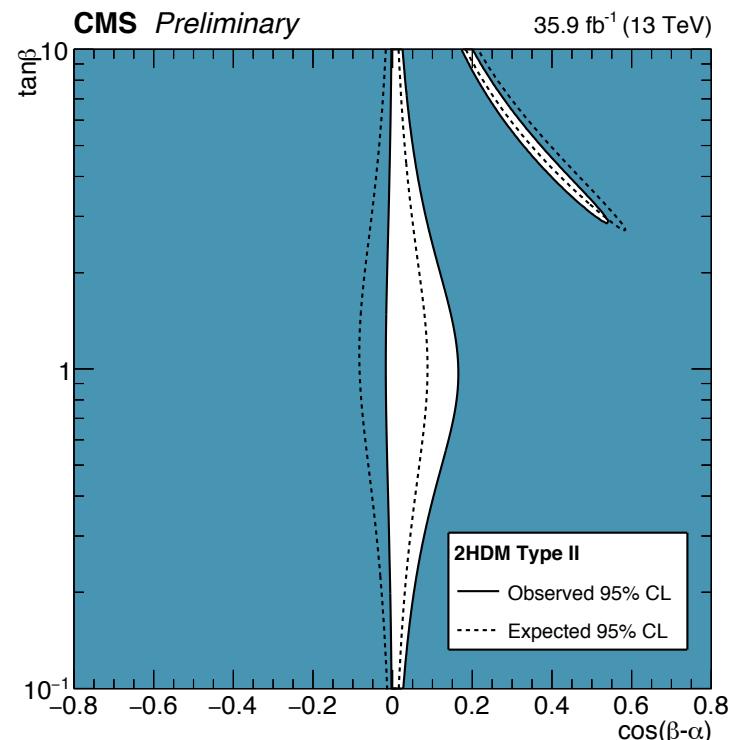
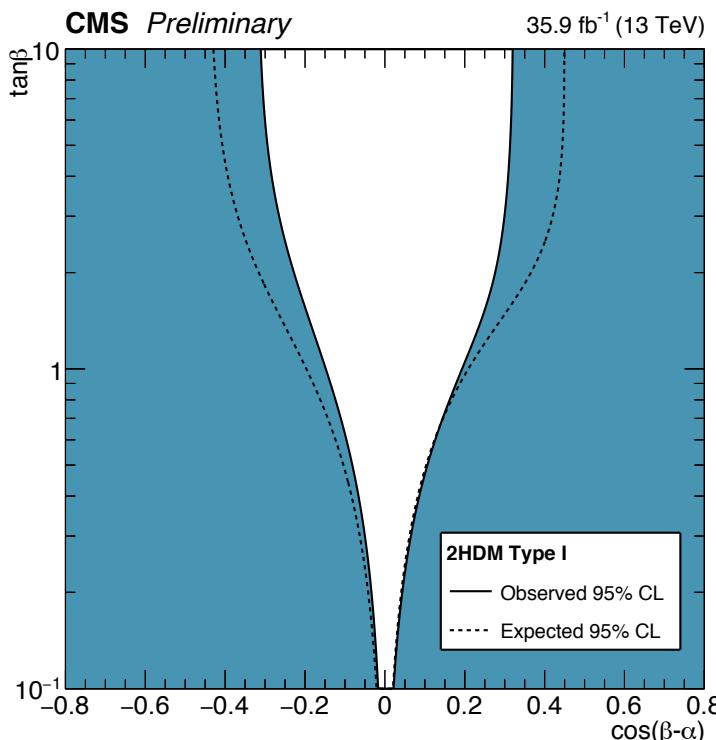


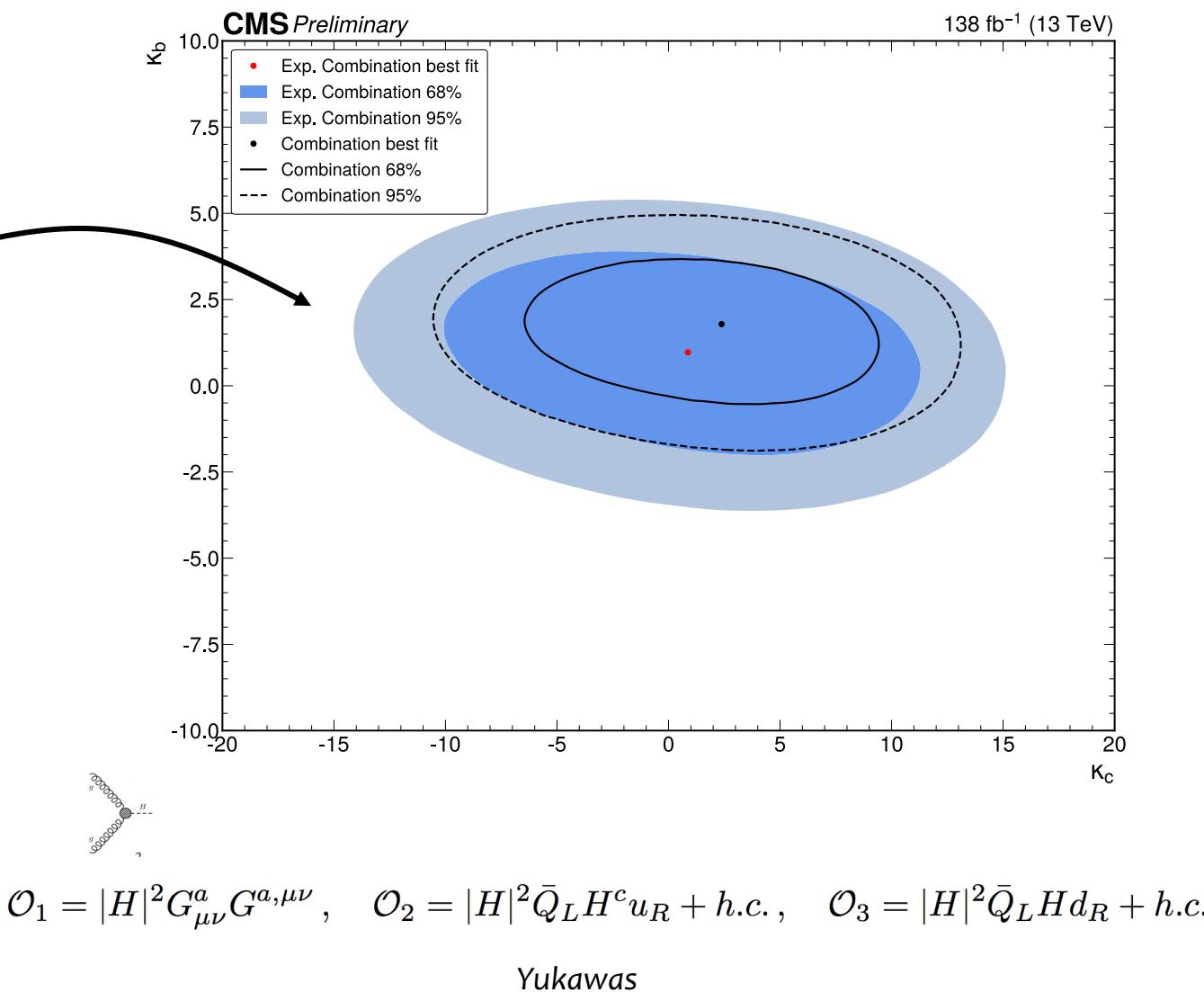
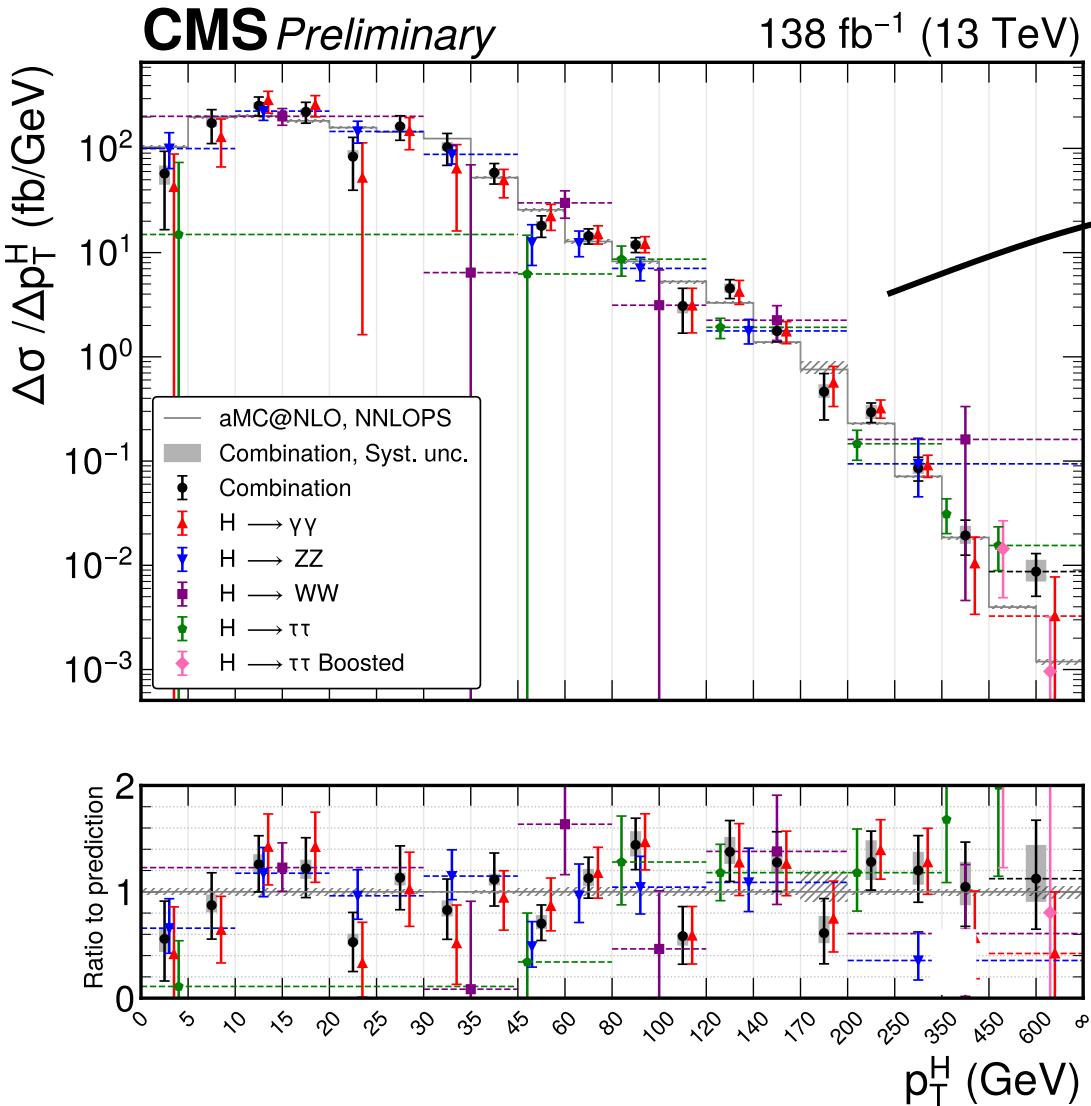
Figure 6: Scan of coupling modifiers  $\kappa_u$  (left),  $\kappa_d$  (centre) and  $\kappa_V$  (right) as a function of the MSSM parameters  $m_A$  and  $\tan(\beta)$ .

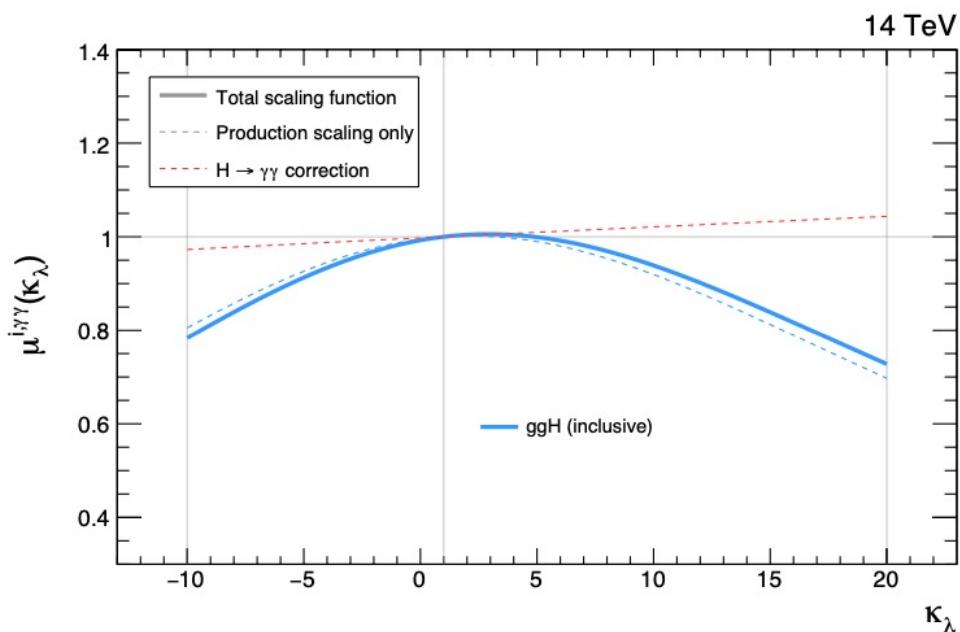
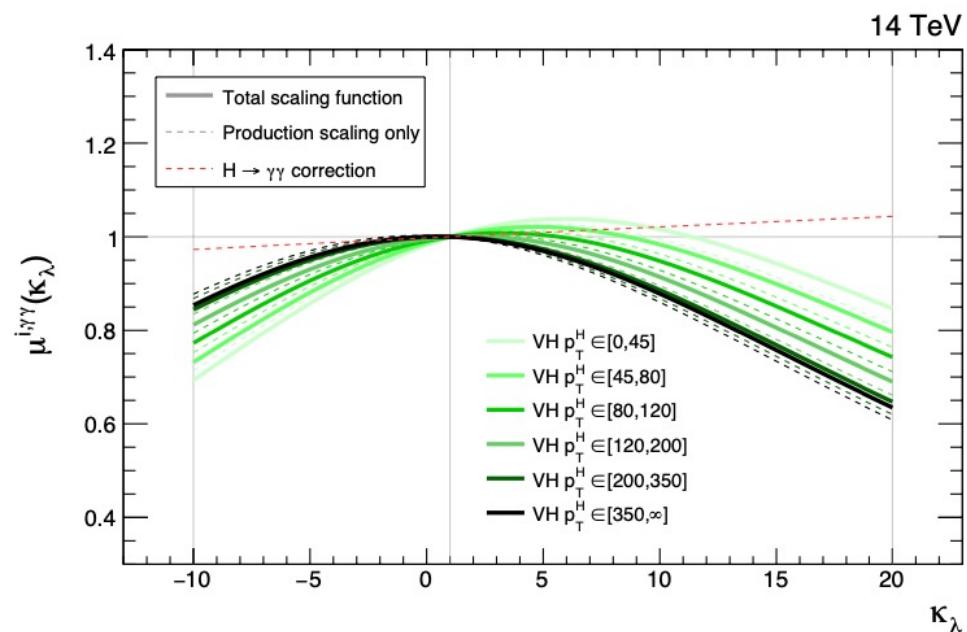
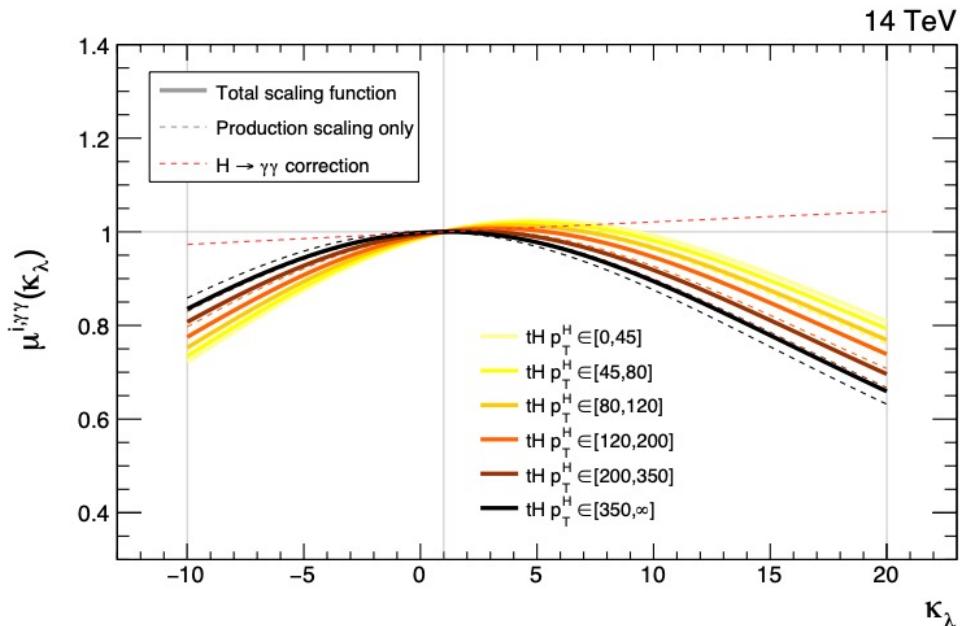
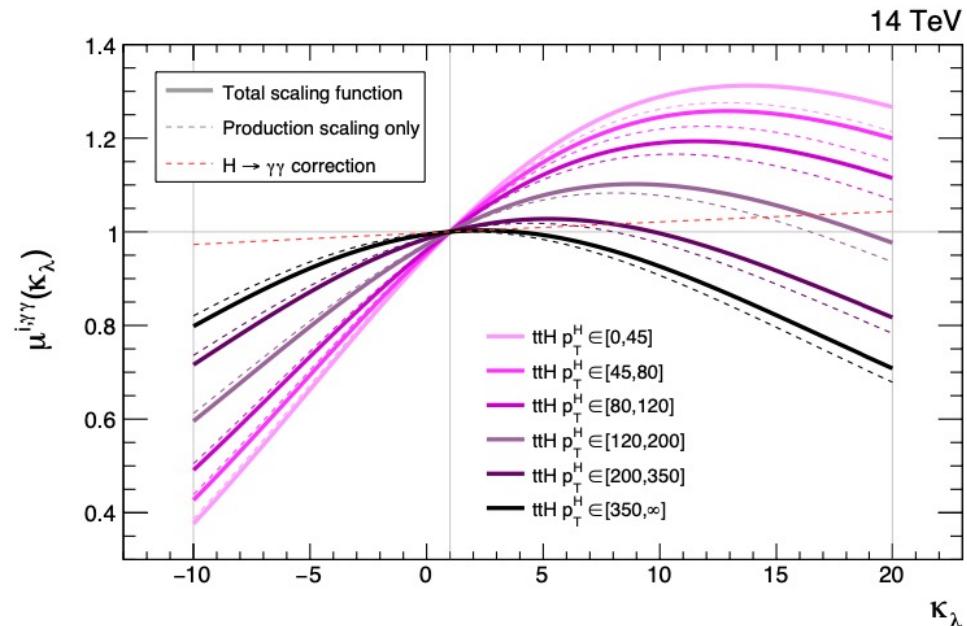
# 2HDM SM-like couplings

	2HDM				<b>hMSSM</b>
	Type I	Type II	Type III	Type IV	
$\kappa_V$	$\sin(\beta - \alpha)$	$\sin(\beta - \alpha)$	$\sin(\beta - \alpha)$	$\sin(\beta - \alpha)$	$\frac{s_d + s_u \tan \beta}{\sqrt{1 + \tan^2 \beta}}$
$\kappa_u$	$\cos(\alpha) / \sin(\beta)$	$\cos(\alpha) / \sin(\beta)$	$\cos(\alpha) / \sin(\beta)$	$\cos(\alpha) / \sin(\beta)$	$s_u \frac{\sqrt{1 + \tan^2 \beta}}{\tan \beta}$
$\kappa_d$	$\cos(\alpha) / \sin(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$\cos(\alpha) / \sin(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$s_d \sqrt{1 + \tan^2 \beta}$
$\kappa_l$	$\cos(\alpha) / \sin(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$\cos(\alpha) / \sin(\beta)$	$s_d \sqrt{1 + \tan^2 \beta}$

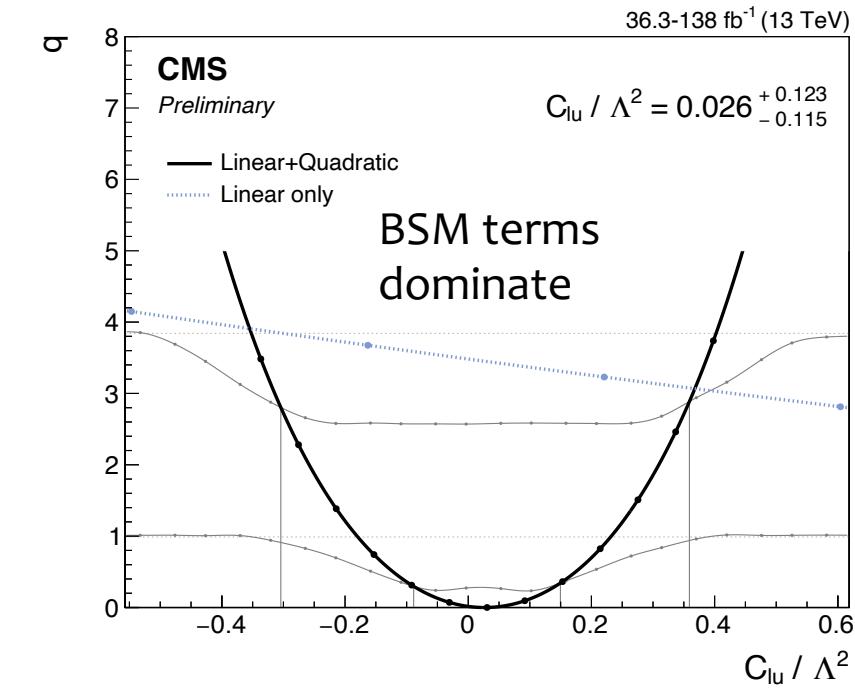
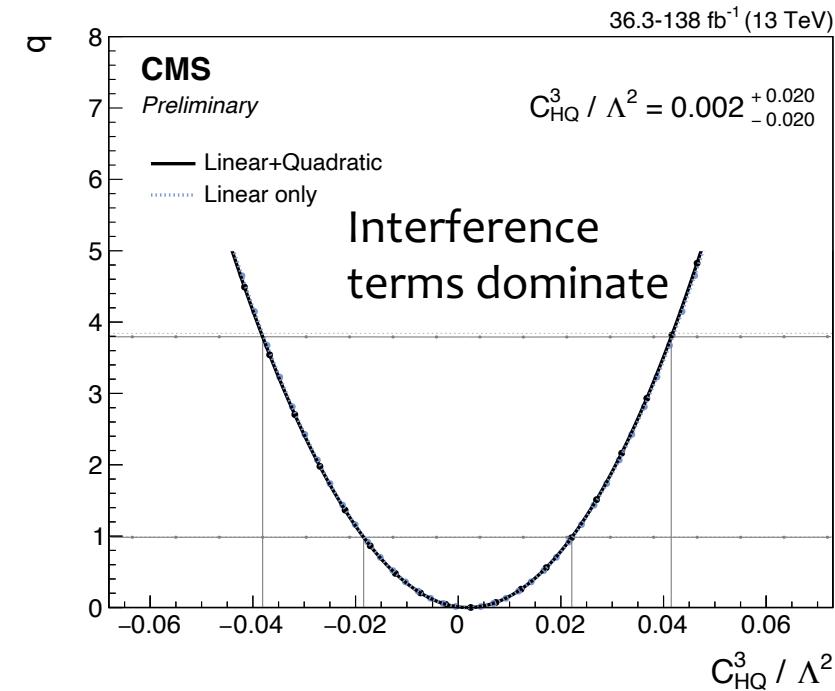


# Differential results for couplings

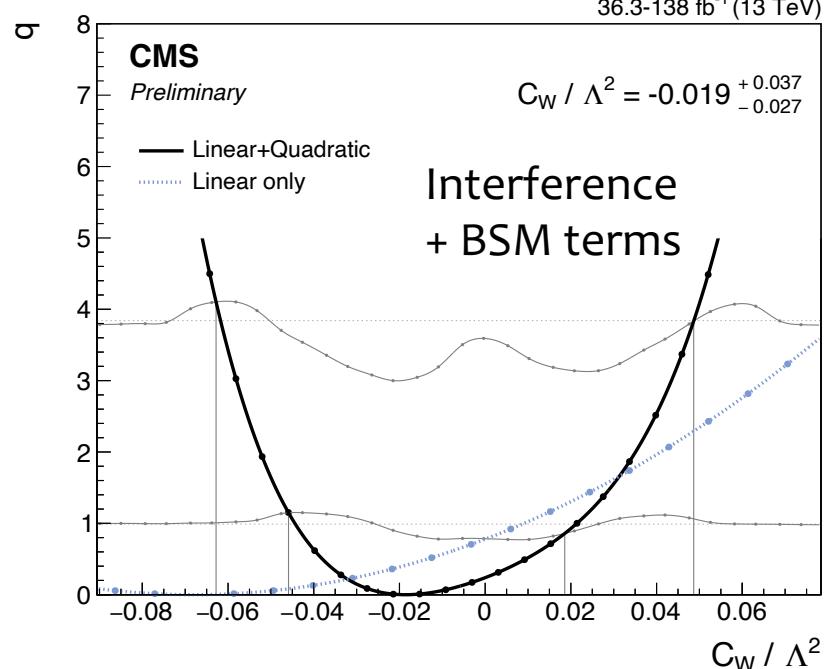




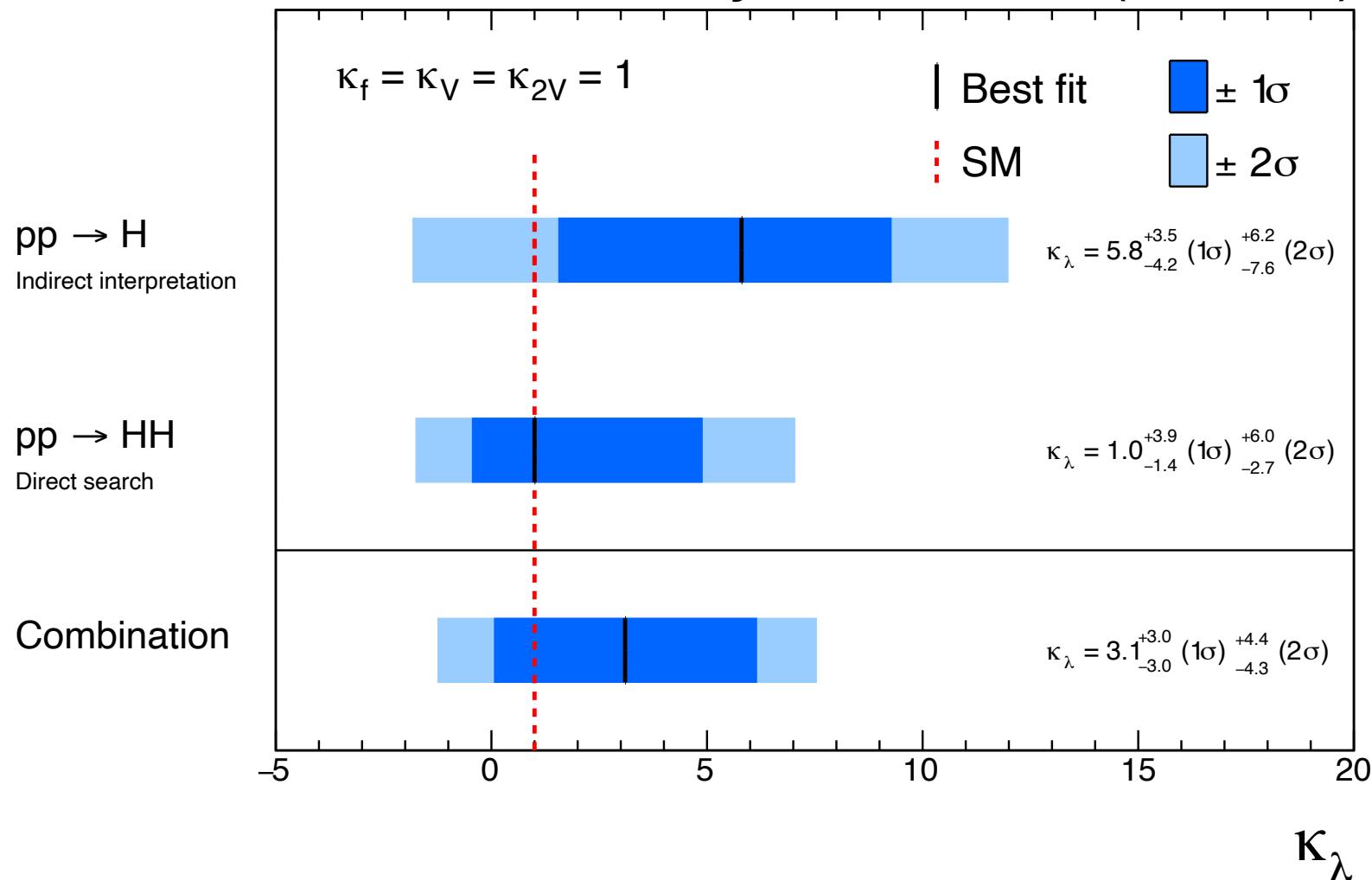
# Wilks & EFT



$$\sigma_{p,\text{SMEFT}}^i = \sigma_{p,\text{SM}}^i + \sigma_{p,\text{int.}}^i(\vec{c}) + \sigma_{p,\text{BSM}}^i(\vec{c}) = \sigma_{p,\text{SM}}^i \left( 1 + \sum_j A_{p,j}^i \frac{c_j}{\Lambda^2} + \sum_{j,k} B_{p,jk}^i \frac{c_j c_k}{\Lambda^4} \right)$$



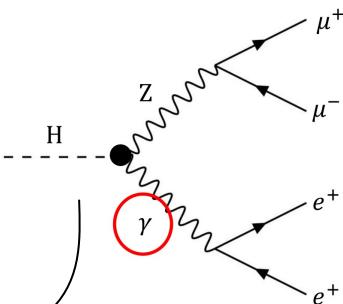
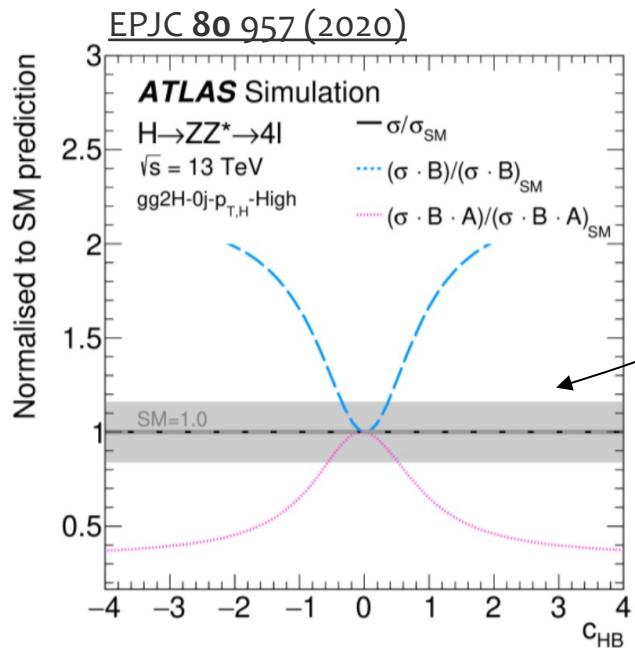
**CMS Preliminary**      **138 fb<sup>-1</sup> (13 TeV)**



# EFT Interpretations – caveat 1.

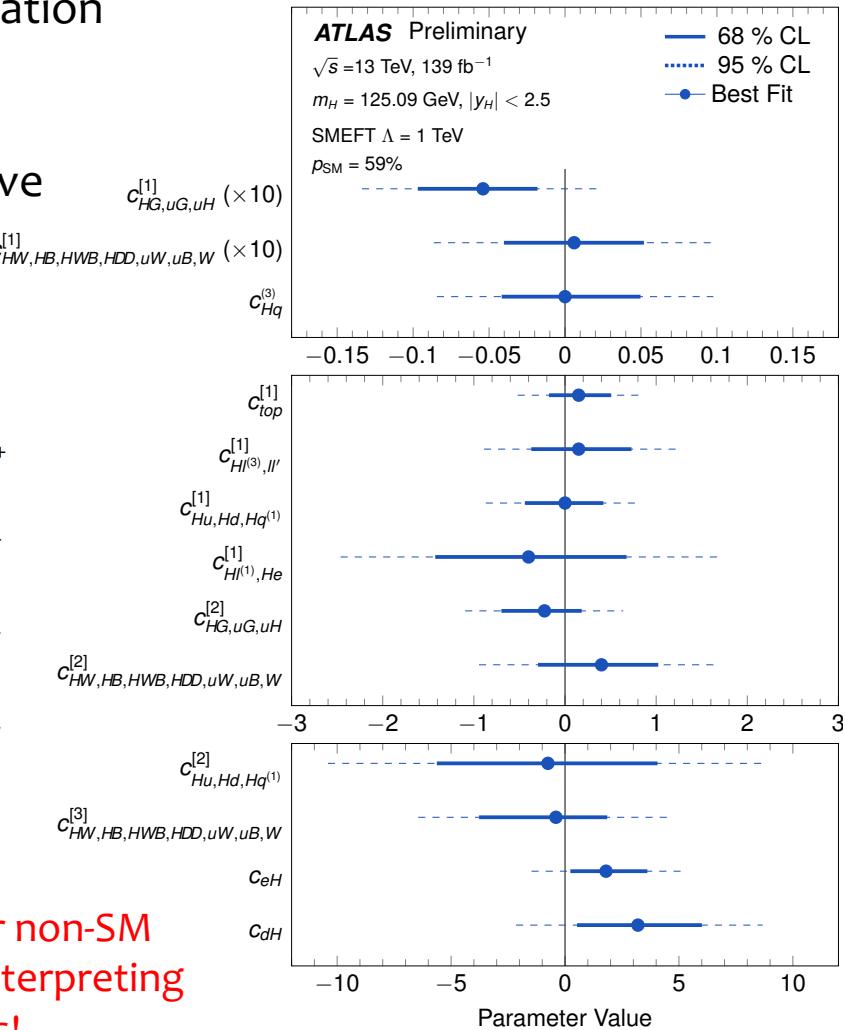
STXS measurements don't include relevant information about decay of the Higgs

- Angular information (eg in 4l final state) sensitive to BSM effects
- ATLAS/CMS use MELA/BDT to exploit this information



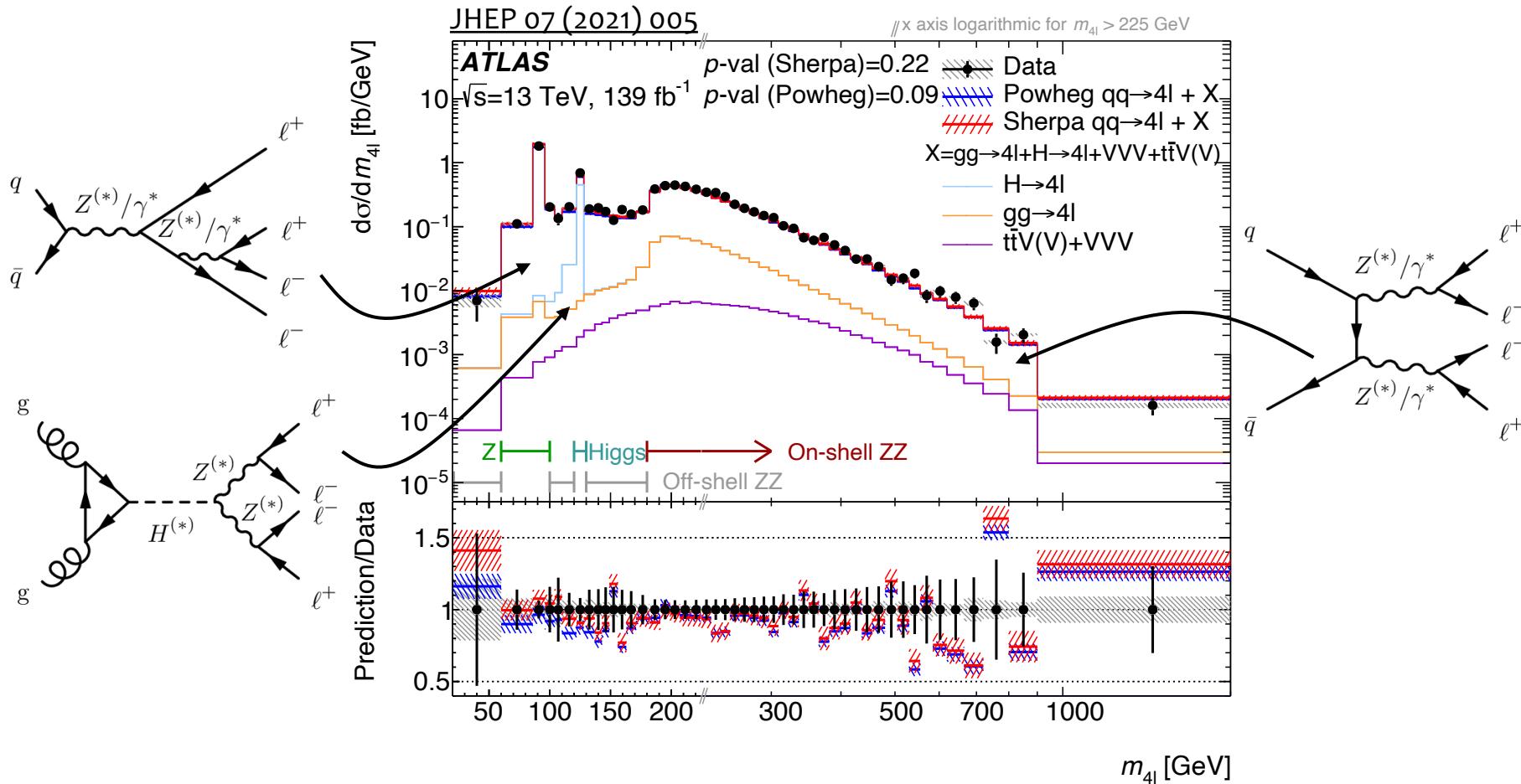
Need to account for non-SM acceptance when interpreting STXS measurements!

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# EFT Interpretations – caveat 2.

CMS/ATLAS are used to thinking of **Signal / Background** → But EFT is a global approach!



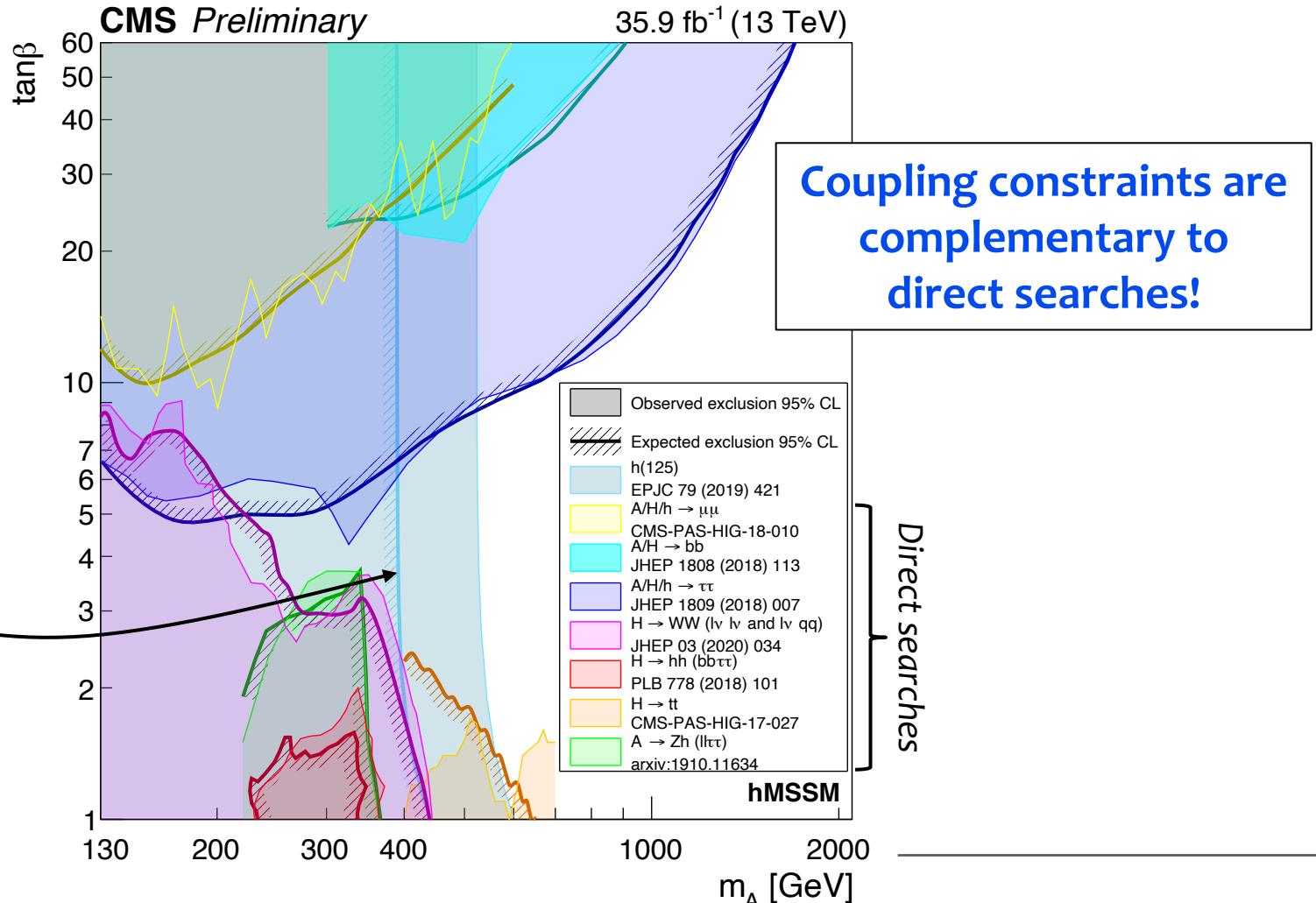
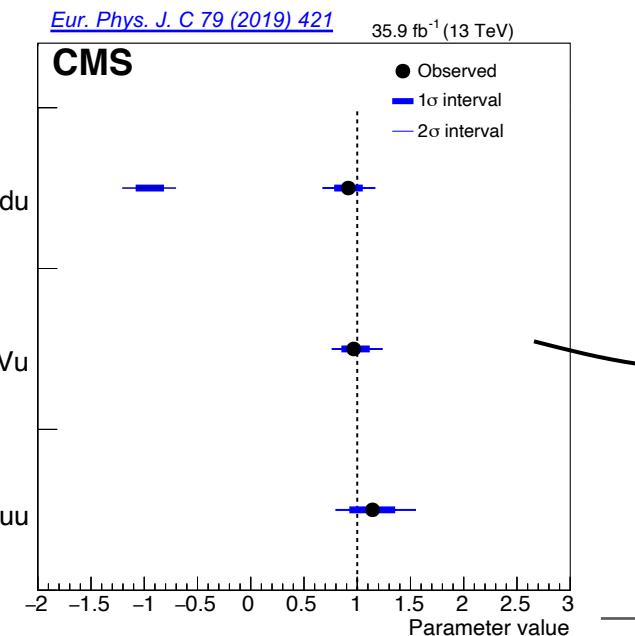
Full  $pp \rightarrow 4l$  combinations are the correct way to interpret the data  
→ Need to consider all contributions together to fully exploit our data

# Complementarity to BSM searches

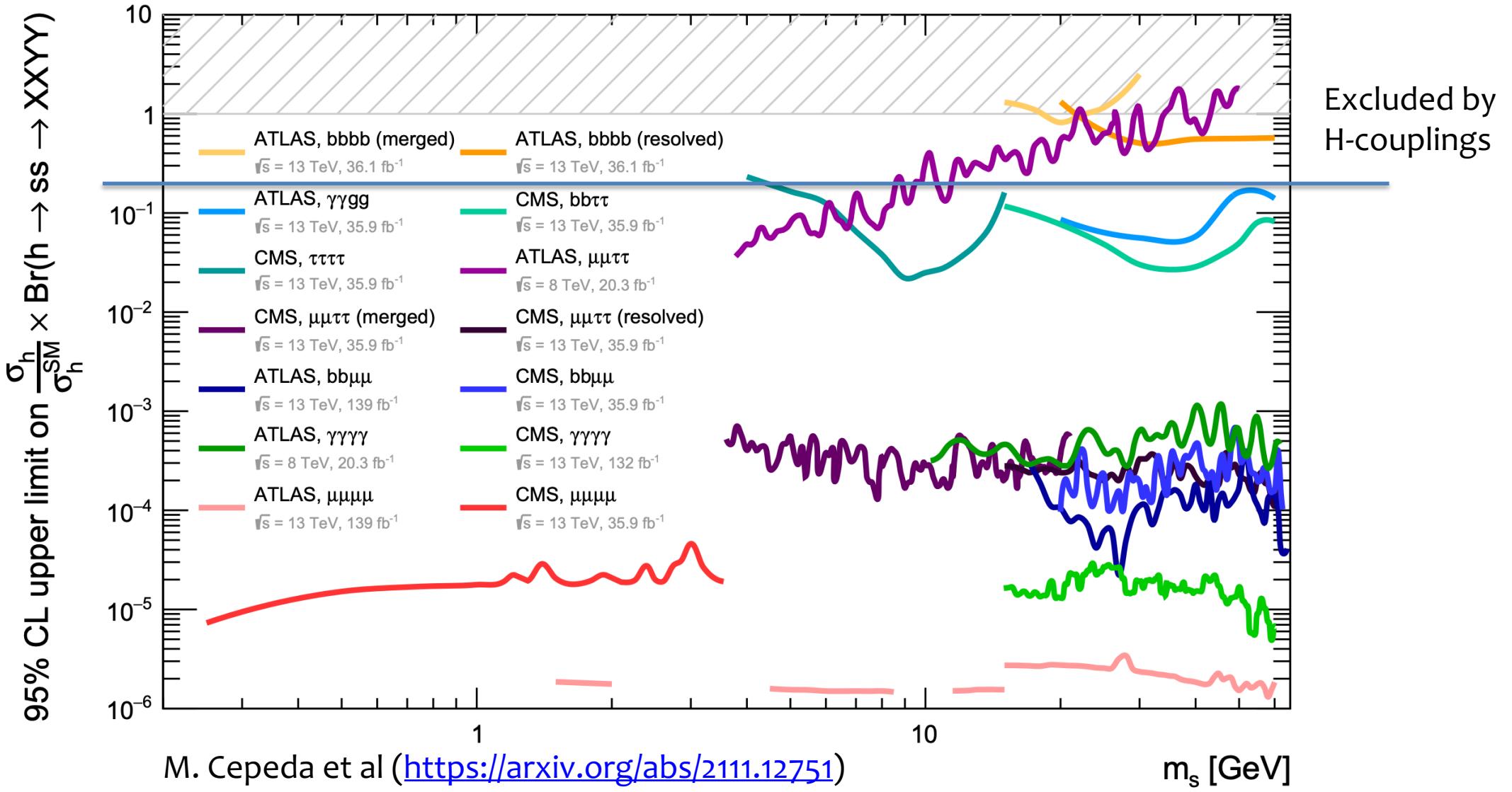
Beyond SM (BSM) Higgs models predict **modifications in couplings** between **up and down** type fermions and the Higgs boson

Supersymmetry (SUSY) is a popular extension of the SM...

- Two Higgs doublets  $\phi_u, \phi_d$
- 5 Higgs bosons (A, H, h,  $H^{\pm}$ )



# Complementarity to BSM searches



# Higgs Couplings @ HL-LHC

Expect to reach O(%)-level precision in many couplings!

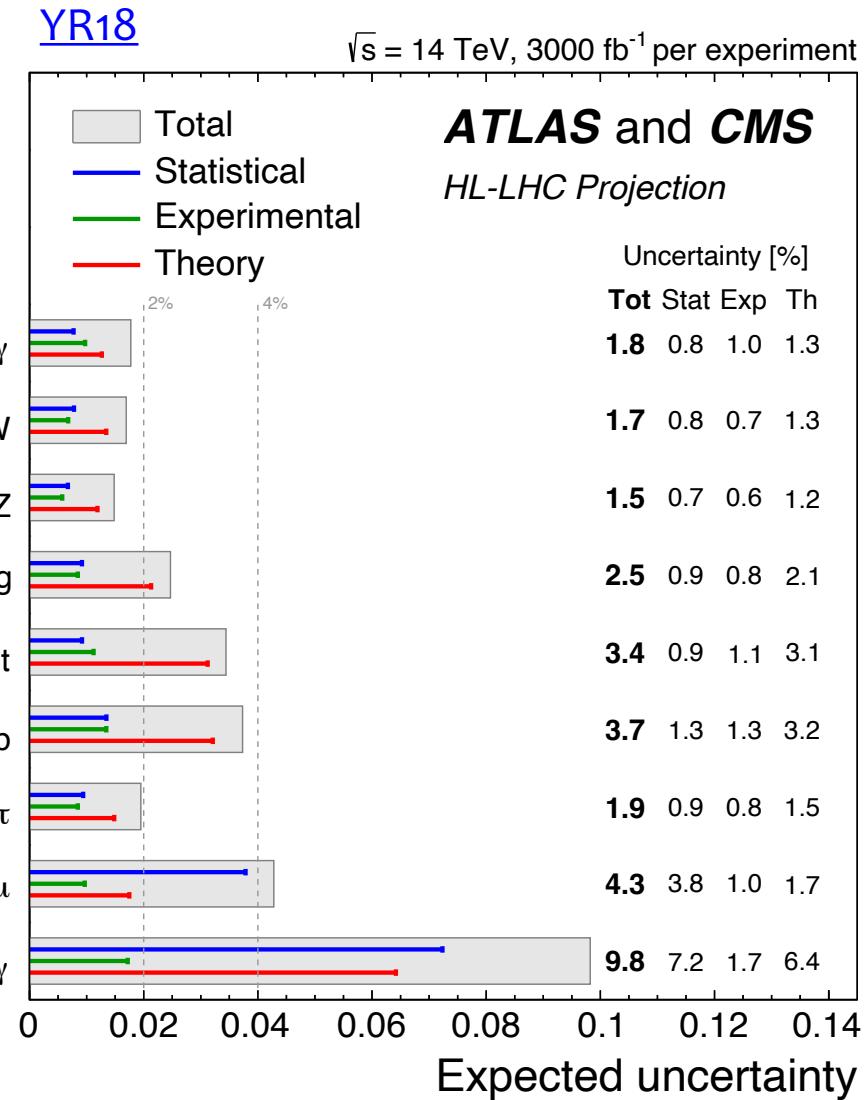
Assumes trigger & detector performance / reconstruction similar to Run-2

## Uncertainty scaling:

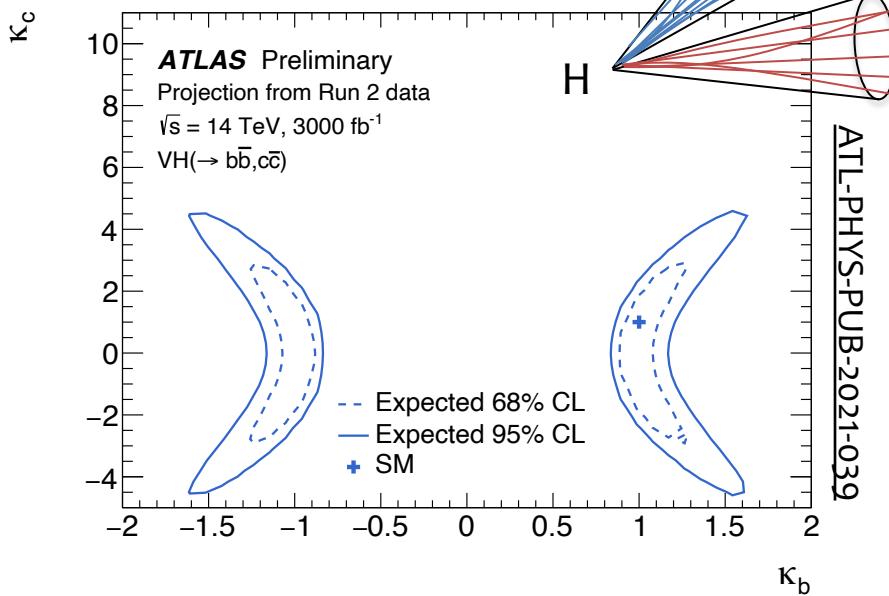
Statistical Uncertainties	$\propto 1/\sqrt{L}$
Experimental Uncertainties	$\propto 1/\sqrt{L}$ Until floor reached
Theoretical Uncertainties	$\times 0.5$

Uncertainty dominated by systematic components in many cases for coupling (inclusive) measurements

**Caveat!** Higgs boson couplings based on partial Run-2 data - Represents only ~few % of total expected HL-LHC dataset.



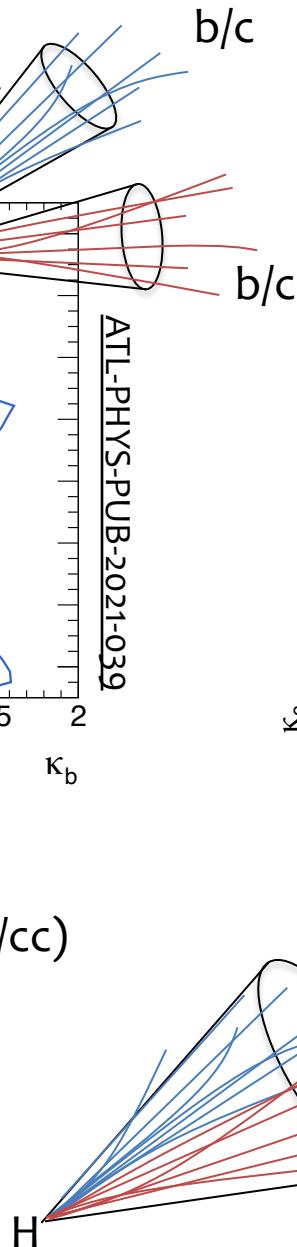
# H-b/c Yukawa



... and in boosted events ( $p_T > 200$  GeV) using ParticleNet [1,2] H(bb/cc) merged-jet tagging

[1] CERN-CMS-DP-2020-002

[2] PRD **101**, 056019

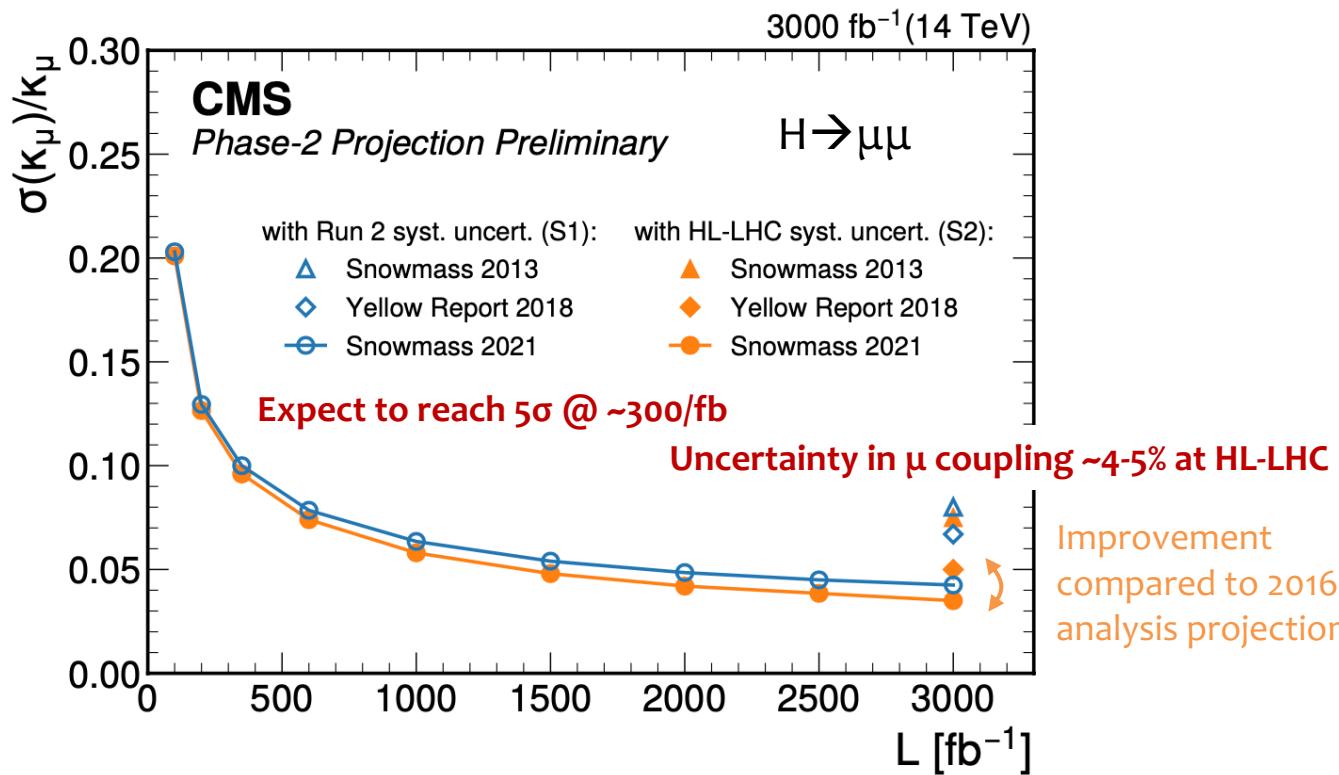


$VH \rightarrow bb/ccb$  measurements sensitive to b-quark and c-quark couplings

Expected measurements of  $\kappa_b - \kappa_c$  at HL-LHC from STXS  $VH \rightarrow bb$  (STXS measurement) and  $VH \rightarrow cc$  (inclusive search) in resolved di-jet events (ATLAS)...

# Higgs boson 2<sup>nd</sup> generation couplings

Updates in 2022 (Snowmass) for key decay channels where projections now use analyses based only **full Run-2 datasets & improved analysis methods**

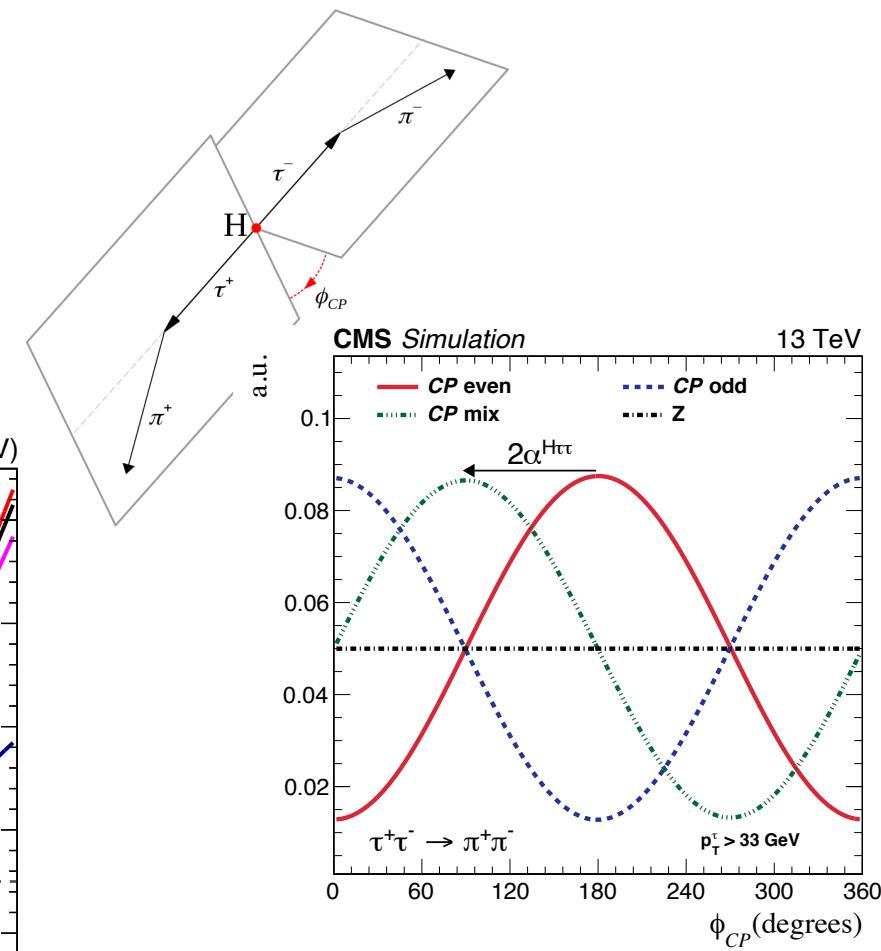
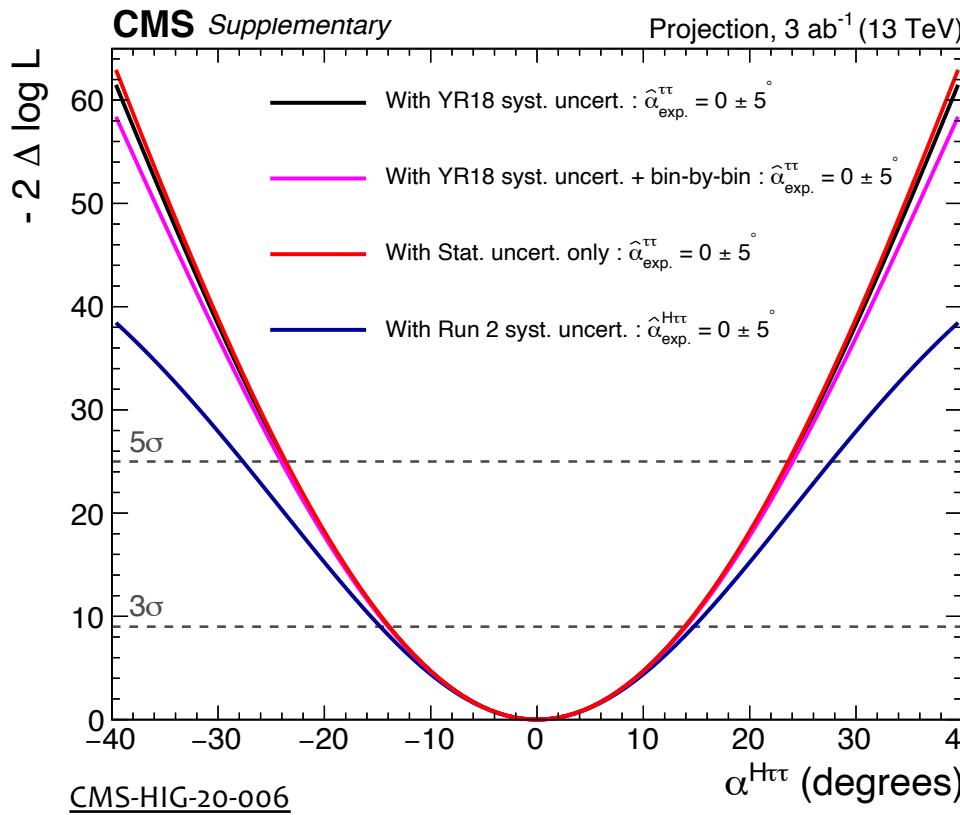


Reminder that projections are often pessimistic as **analysis strategies improve with each iteration**

# CP in $H \rightarrow \tau\tau$

Measure  $H \rightarrow \tau\tau$  decays differentially in  $\Phi_{CP}$  to access potential CP-odd contributions to  $H-\tau$  coupling

$$\tan(\alpha^{H\tau\tau}) = \frac{\tilde{\kappa}_\tau}{\kappa_\tau}$$



Projection of Run-2 analysis at CMS  
 → Expect to constrain CP-mixing angle  
 $(\alpha^{H\tau\tau})$  to 5 degrees at HL-LHC!

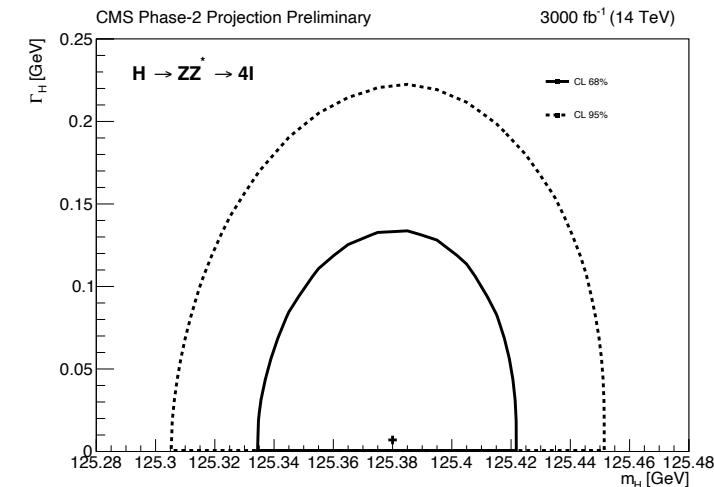
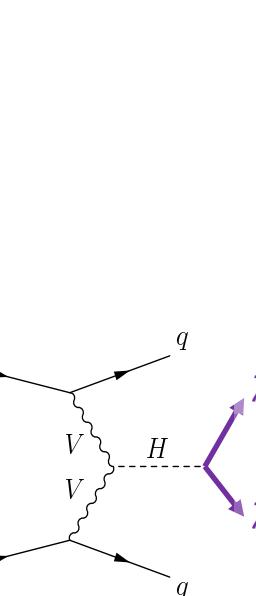
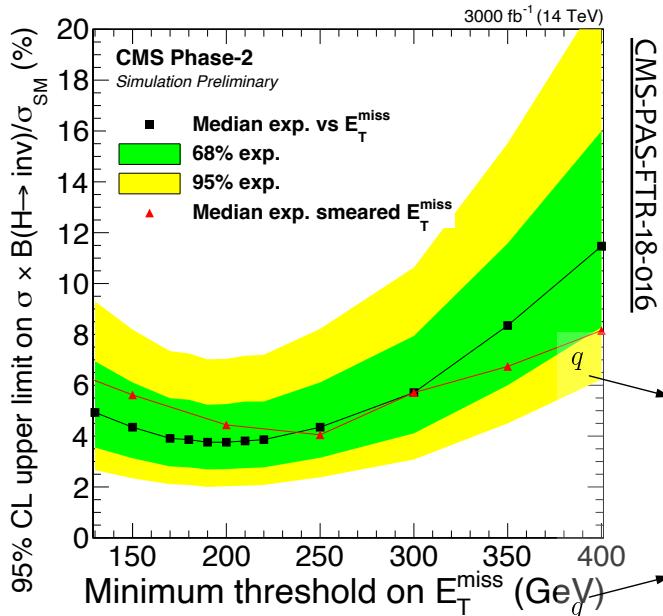
# BSM in Higgs decays

Additional (BSM) decays of the Higgs boson results in modified Higgs boson width

- Indirect from total width from coupling measurements (+ offshell) measurements
- Direct measurement from  $H \rightarrow 4l$  mass peak
- Limited by experimental resolution ( $\Gamma_H \sim 4$  MeV in SM)!

CMS-PAS-FTR-21-007

$\Gamma_H$ expected upper limit (MeV)	Projection	Optimistic	Pessimistic
Total	177	155	177
Syst impact	150	123	150
Stat only		94	



Direct searches for VBF  $H \rightarrow$  invisible decays benefit from improved forward tracking & calorimetry

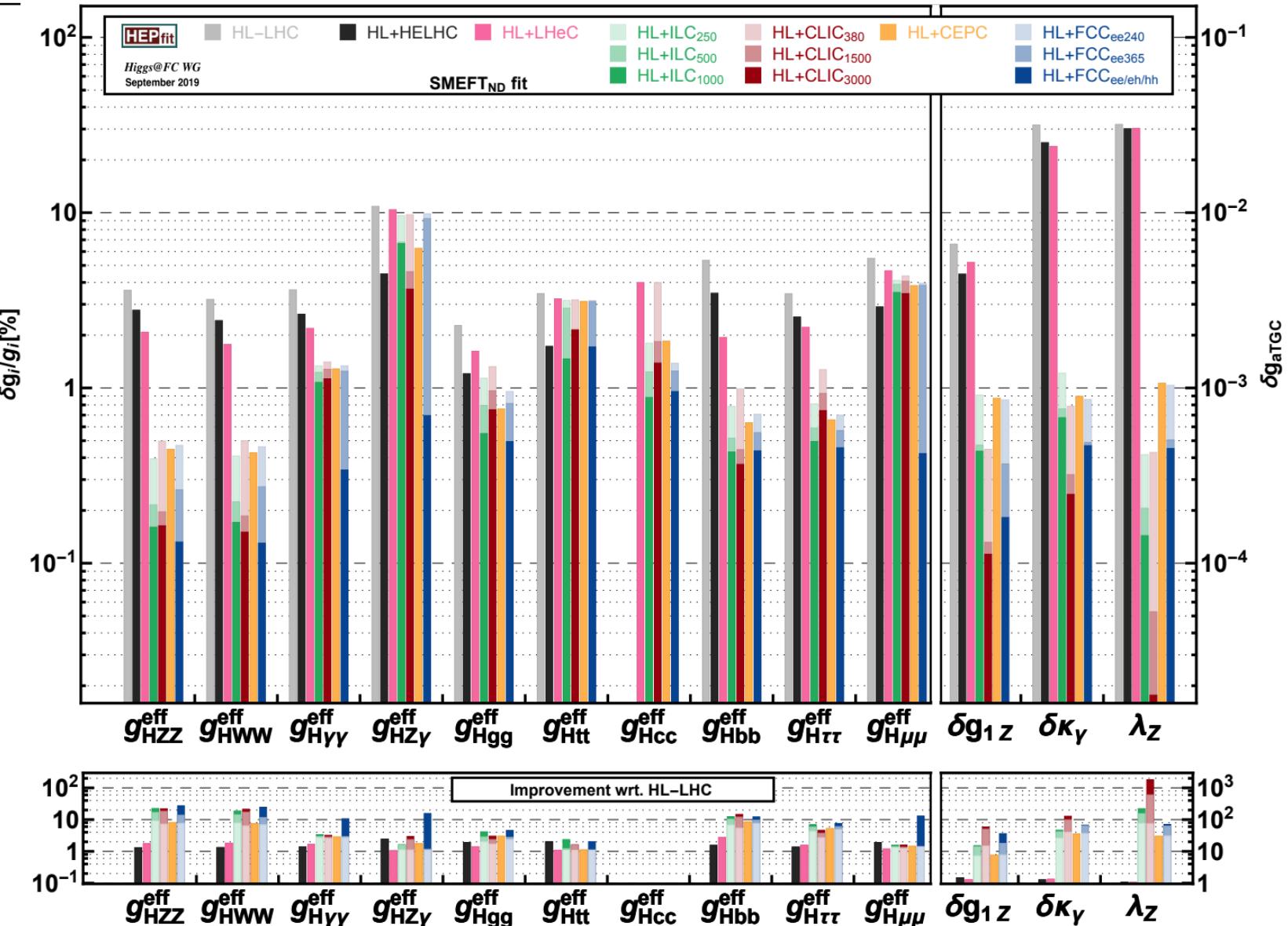
→ Sensitivity limited by trigger/selection thresholds achievable at HL-LHC

→ Need to get smarter to maintain or do better than  $\sqrt{L}$ !

# Future Colliders

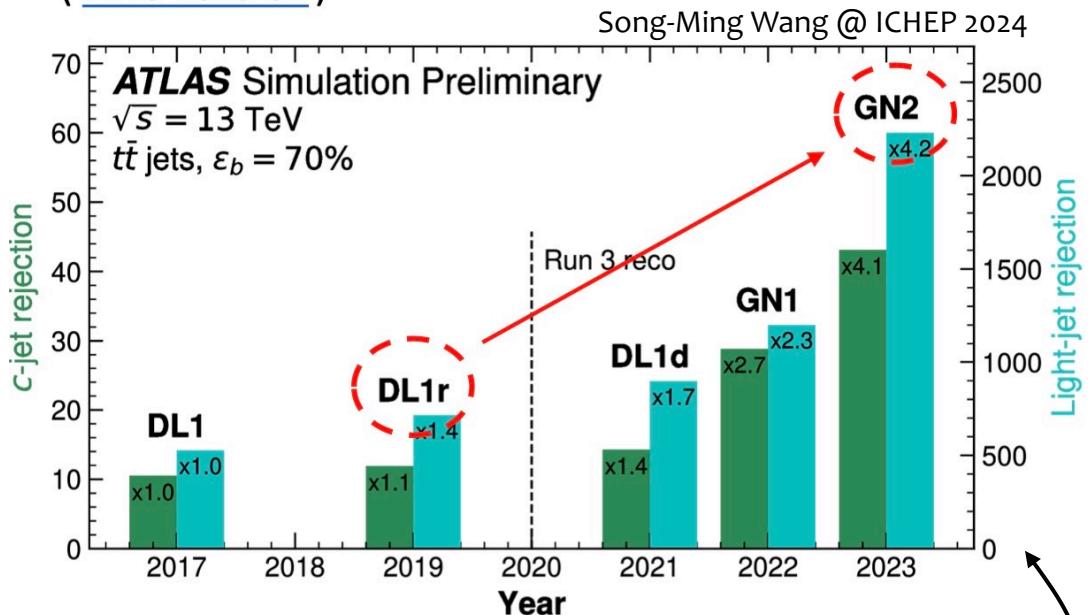
Collider	Type	$\sqrt{s}$	$\mathcal{P} [\%]$ $[e^-/e^+]$	N(Det.)	$\mathcal{L}_{\text{inst}}$ $[10^{34}] \text{ cm}^{-2}\text{s}^{-1}$	$\mathcal{L}$ $[\text{ab}^{-1}]$	Time [years]	Refs.	Abbreviation
HL-LHC	$pp$	14 TeV	-	2	5	6.0	12	[13]	HL-LHC
HE-LHC	$pp$	27 TeV	-	2	16	15.0	20	[13]	HE-LHC
FCC-hh <sup>(*)</sup>	$pp$	100 TeV	-	2	30	30.0	25	[1]	FCC-hh
FCC-ee	$ee$	$M_Z$	0/0	2	100/200	150	4	[1]	
		$2M_W$	0/0	2	25	10	1-2		
		240 GeV	0/0	2	7	5	3		FCC-ee <sub>240</sub>
		$2m_{top}$	0/0	2	0.8/1.4	1.5	5		FCC-ee <sub>365</sub>
						(+1)			(1y SD before $2m_{top}$ run)
ILC	$ee$	250 GeV	$\pm 80/\pm 30$	1	1.35/2.7	2.0	11.5	[3, 14]	ILC <sub>250</sub>
		350 GeV	$\pm 80/\pm 30$	1	1.6	0.2	1		ILC <sub>350</sub>
		500 GeV	$\pm 80/\pm 30$	1	1.8/3.6	4.0	8.5		ILC <sub>500</sub>
		1000 GeV	$\pm 80/\pm 20$	1	3.6/7.2	8.0	8.5	[4]	ILC <sub>1000</sub>
						(+1-2)			(1-2y SD after 500 GeV run)
CEPC	$ee$	$M_Z$	0/0	2	17/32	16	2	[2]	CEPC
		$2M_W$	0/0	2	10	2.6	1		
		240 GeV	0/0	2	3	5.6	7		
CLIC	$ee$	380 GeV	$\pm 80/0$	1	1.5	1.0	8	[15]	CLIC <sub>380</sub>
		1.5 TeV	$\pm 80/0$	1	3.7	2.5	7		CLIC <sub>1500</sub>
		3.0 TeV	$\pm 80/0$	1	6.0	5.0	8		CLIC <sub>3000</sub>
						(+4)			(2y SDs between energy stages)
LHeC	$ep$	1.3 TeV	-	1	0.8	1.0	15	[12]	LHeC
HE-LHeC	$ep$	1.8 TeV	-	1	1.5	2.0	20	[1]	HE-LHeC
FCC-eh	$ep$	3.5 TeV	-	1	1.5	2.0	25	[1]	FCC-eh

# Future colliders & EFT



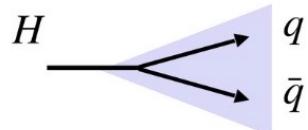
# Exploiting new ideas

( FTAG-2023-01 )

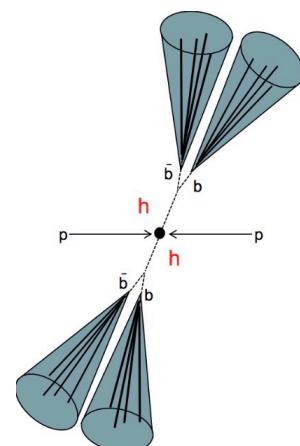
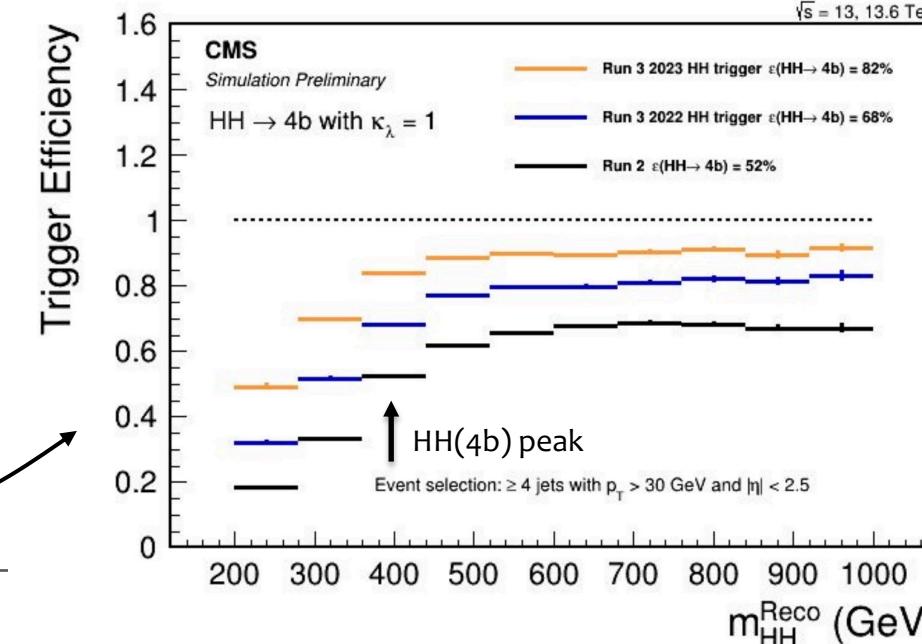
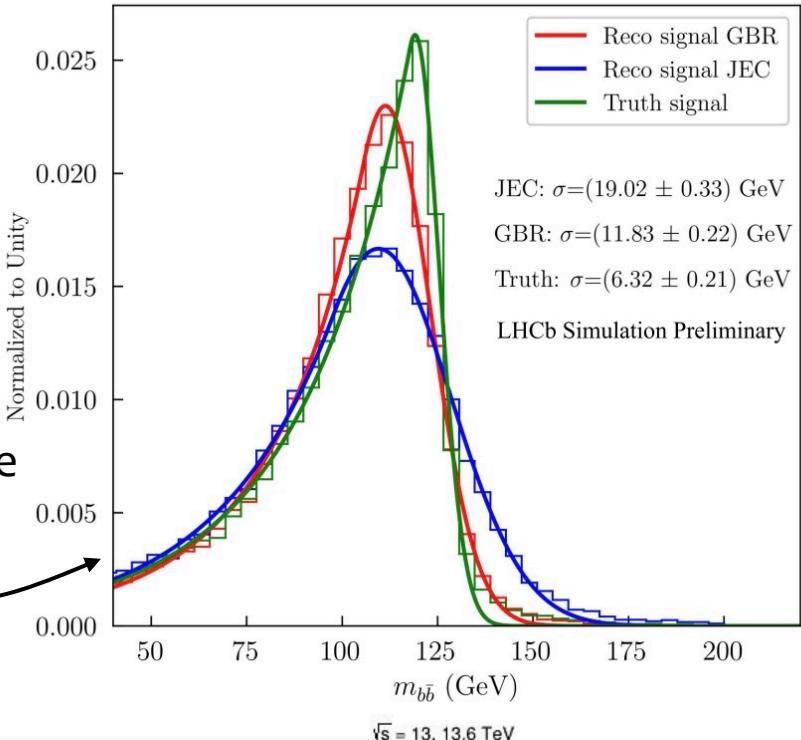


Smarter algorithms (enhanced with Graph-based ML) to identify jet-flavor  $\rightarrow \text{VH(bb)}, \text{HH} \rightarrow 4b$

New dedicated triggers for **HH searches** (both for 4b and 2b2 $\tau$  final states) to improve signal efficiency in Run-3!

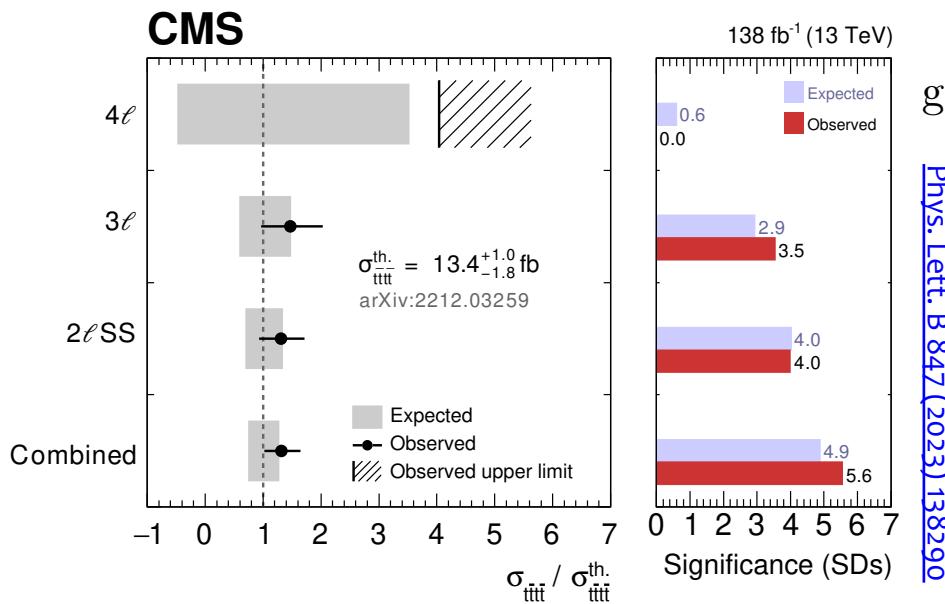


Gradient boosted regressor to improve  $m_{bb/cc}$  resolution for  $H \rightarrow bb/cc$

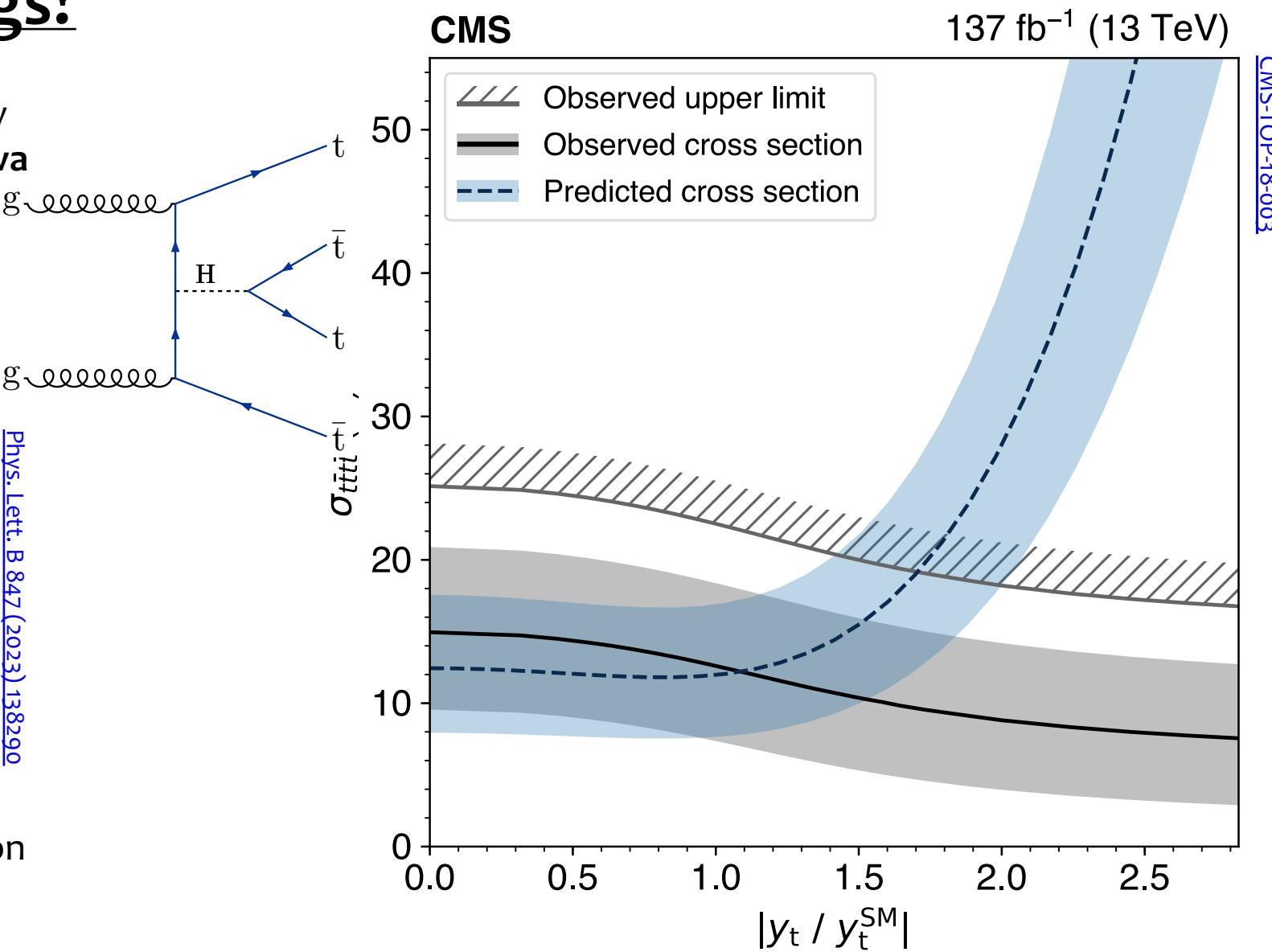


# Looking beyond the Higgs?

Search for 4-tops provides complementary approach to constraining **Higgs-top Yukawa coupling!**

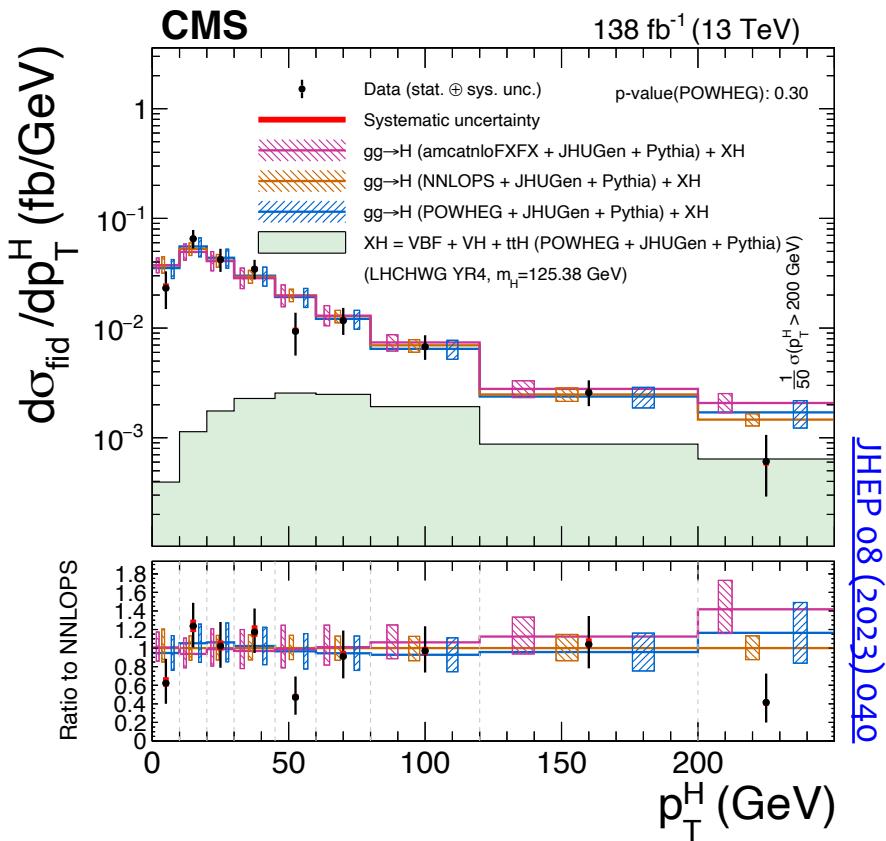
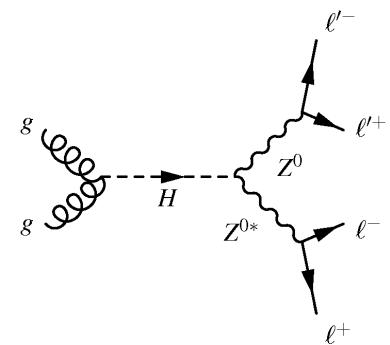


Full Run-2 analysis yields 4-top observation  
Combined significance  **$5.9\sigma$  ( $5.1\sigma$ )**!

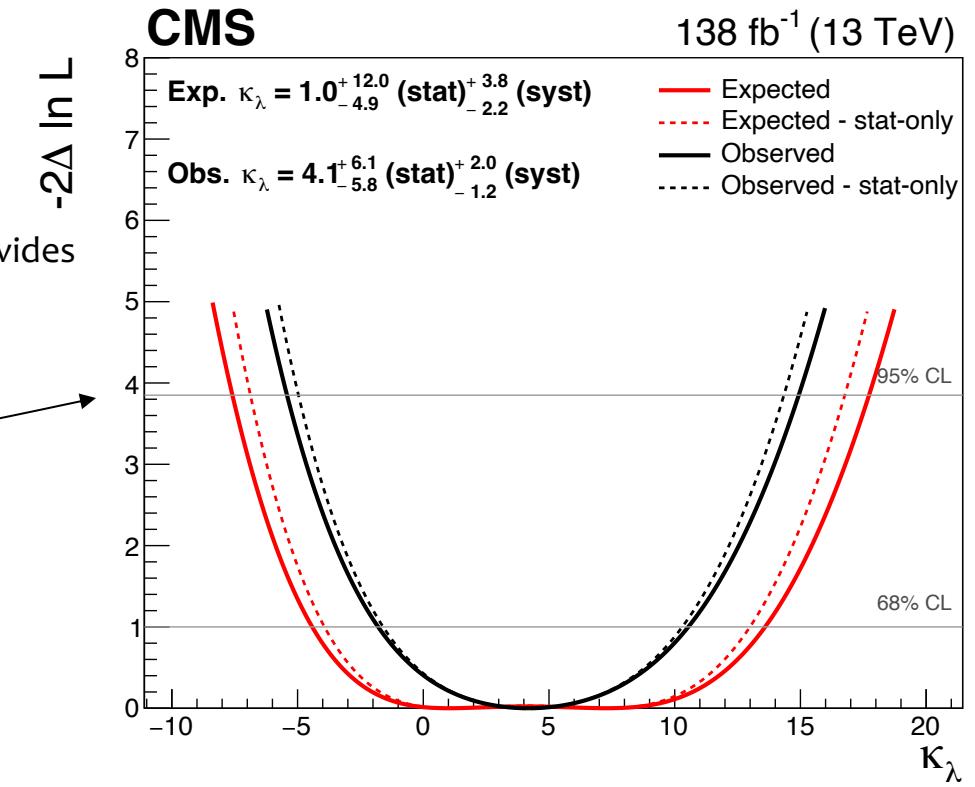


# Looking beyond the signal strengths

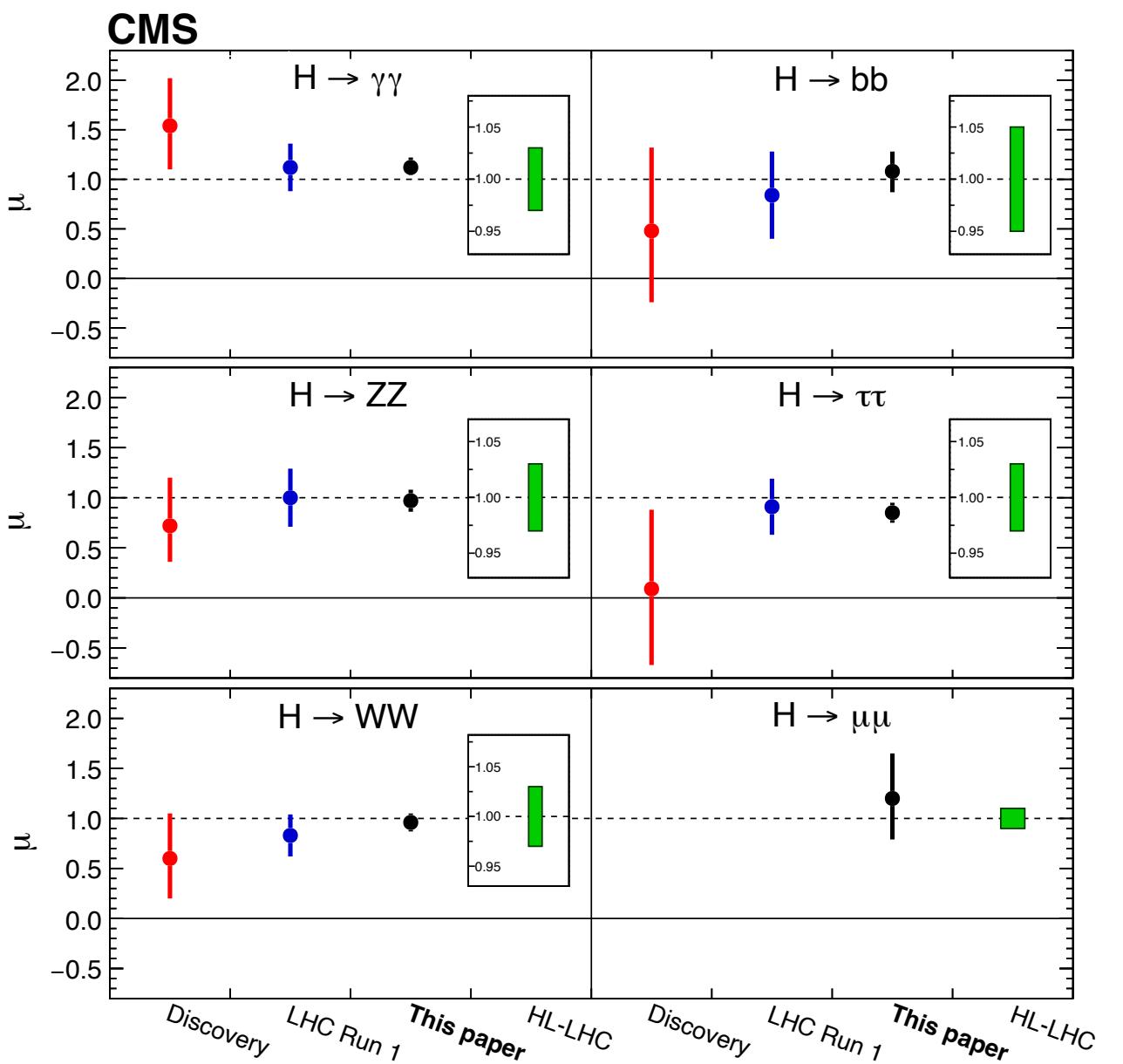
Huge datasets available in Run-2 (and being collected in Run-3) allow to measure Higgs boson properties differentially



Differential information provides additional handles on Higgs boson (self) couplings

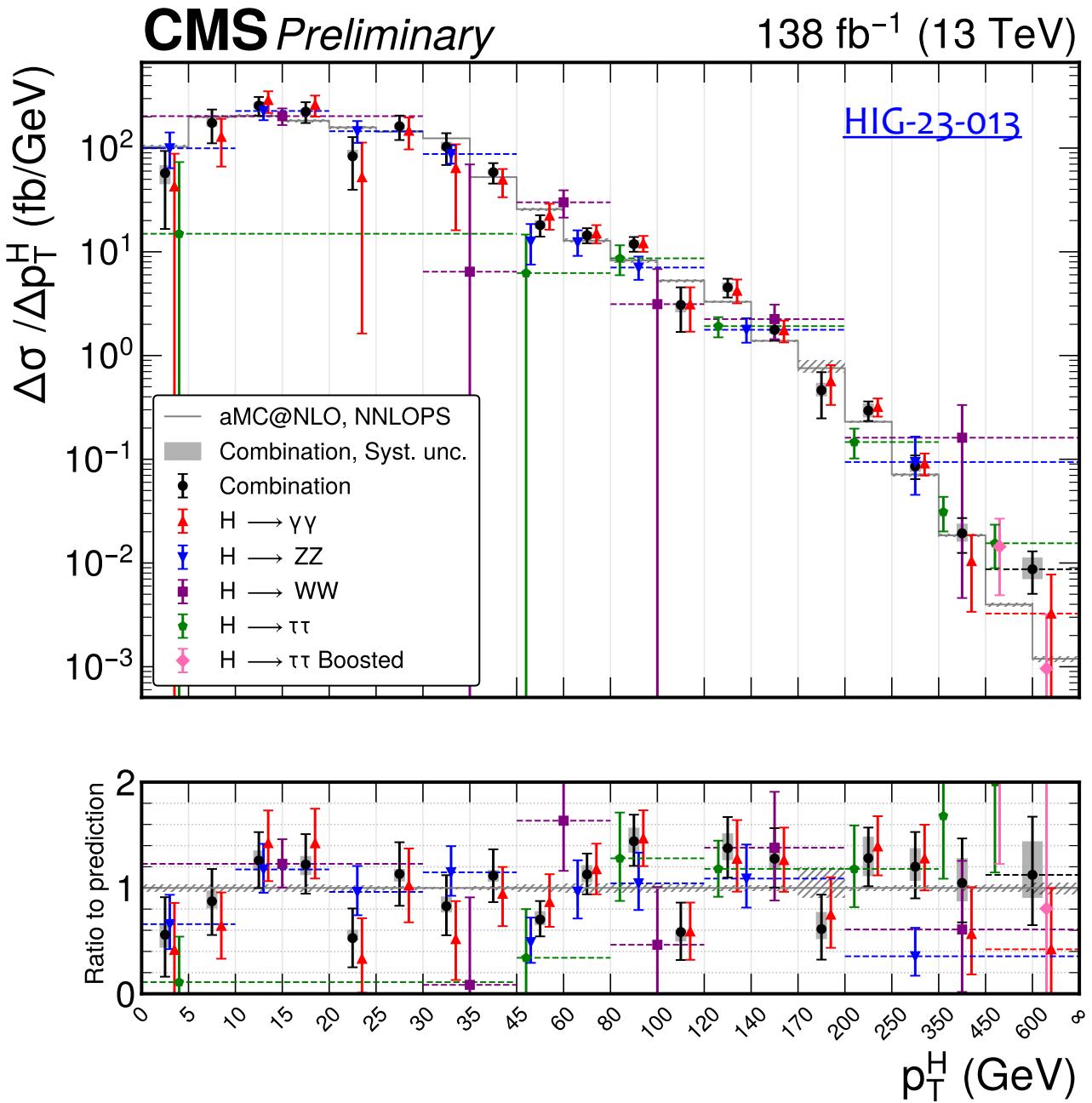


# Projection of signal strengths



# Differential measurements

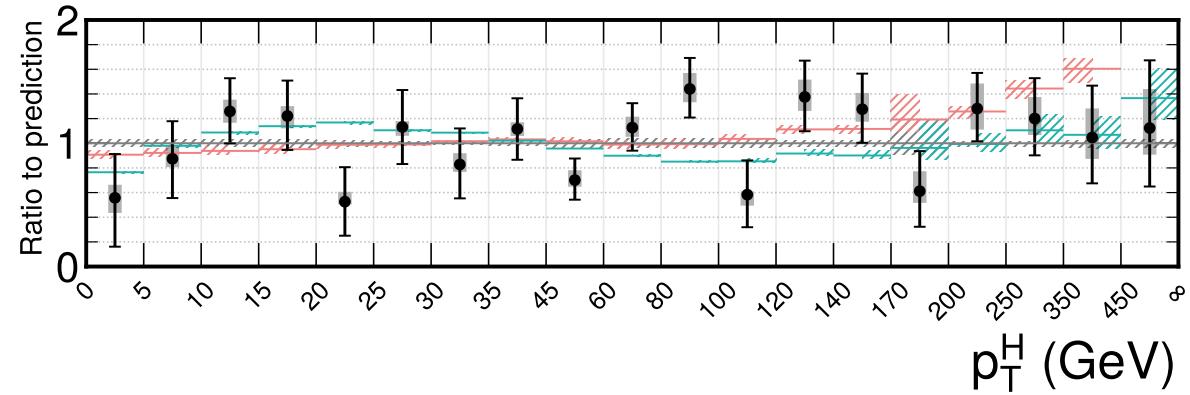
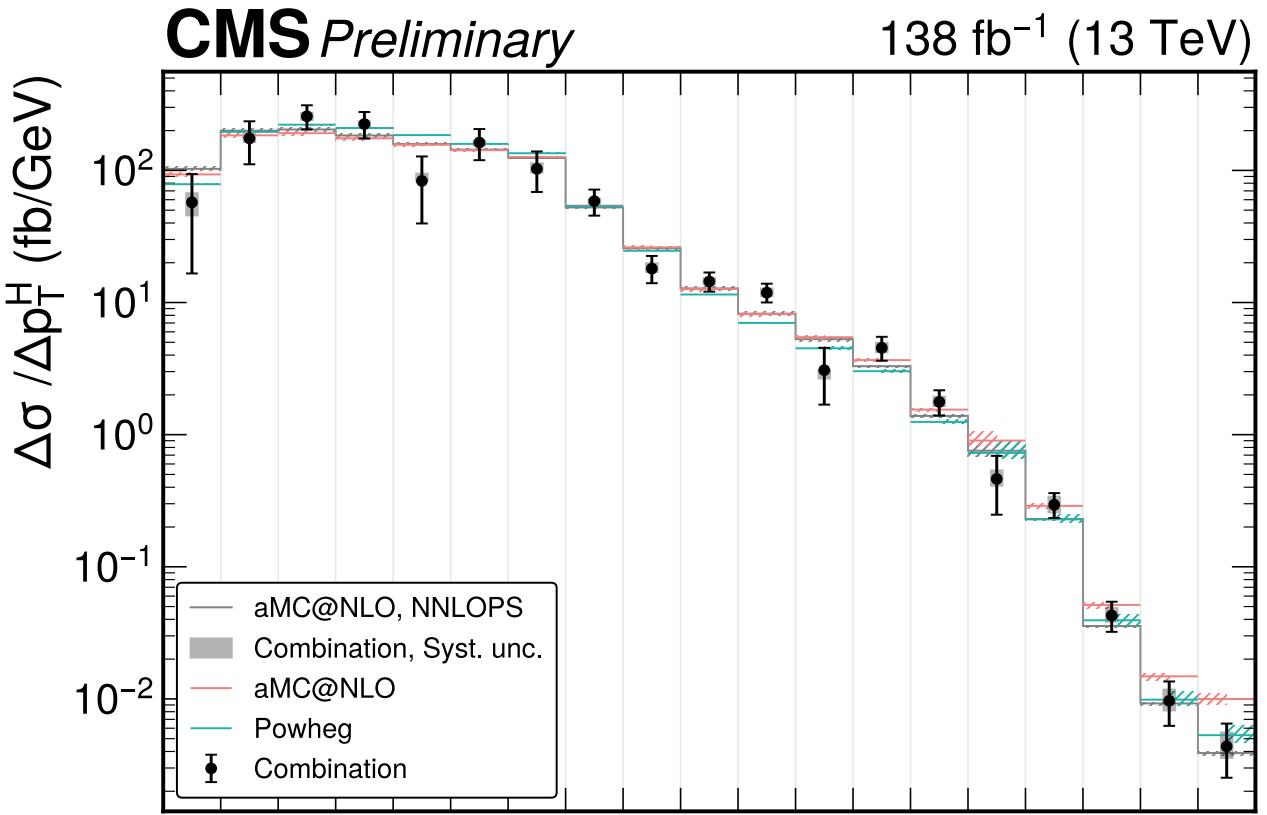
With the data collected in Run-2 we have enough Higgs bosons to **explore high momentum regions** and probe potential hiding places for new (heavy) physics!



# Differential measurements

With the data collected in Run-2 we have enough Higgs bosons to **explore high momentum regions** and probe potential hiding places for new (heavy) physics!

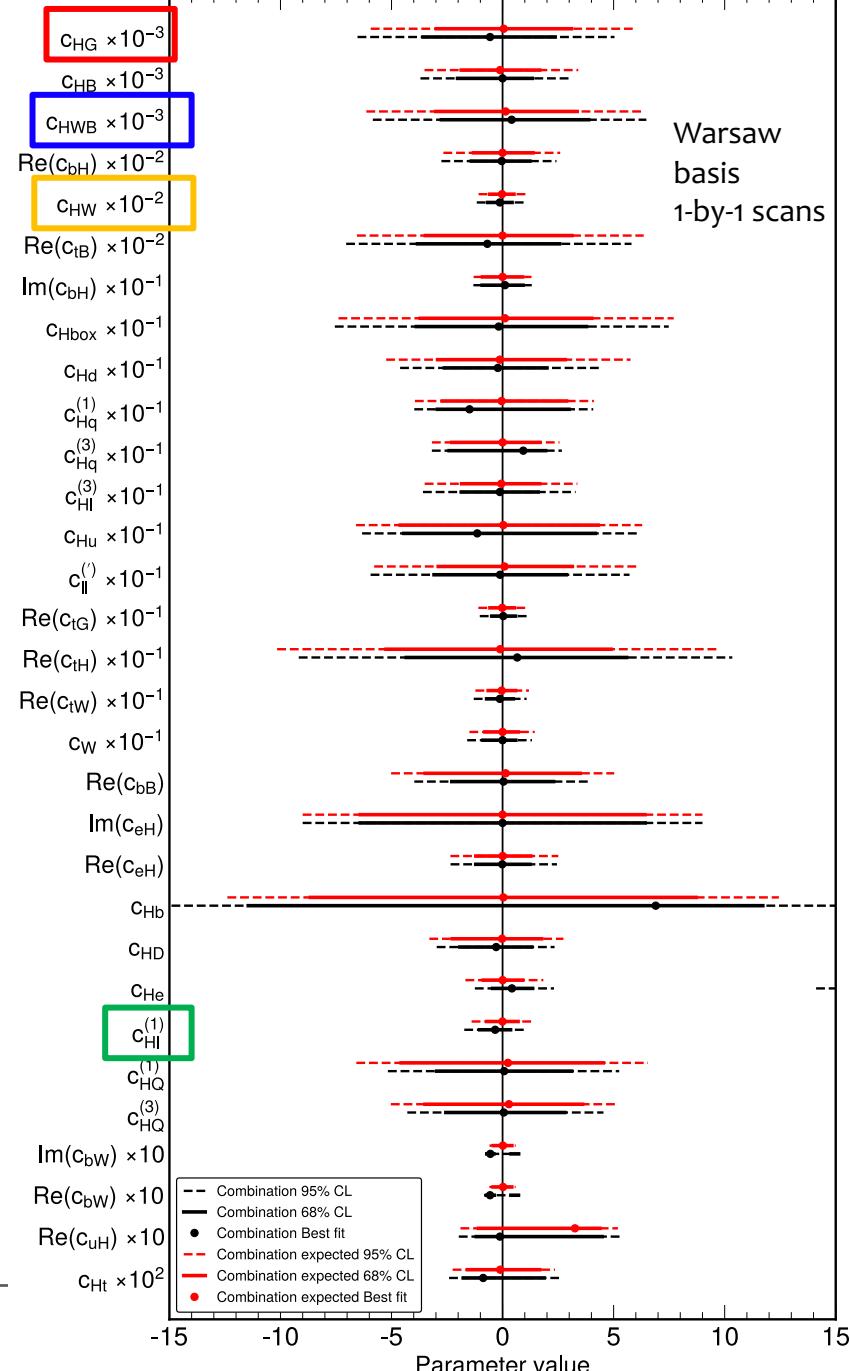
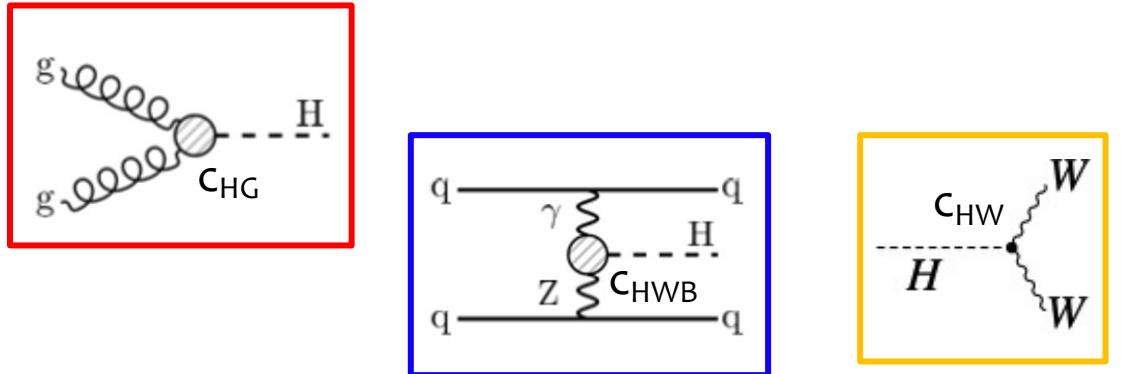
**Combinations of decay channels** provides most stringent tests of SM Higgs (and our understanding of the SM Higgs!)



# Differential measurements for EFT

Similarly to SM couplings measurements, can express differential cross-section measurements in terms of EFT couplings (Wilson Coefficients)

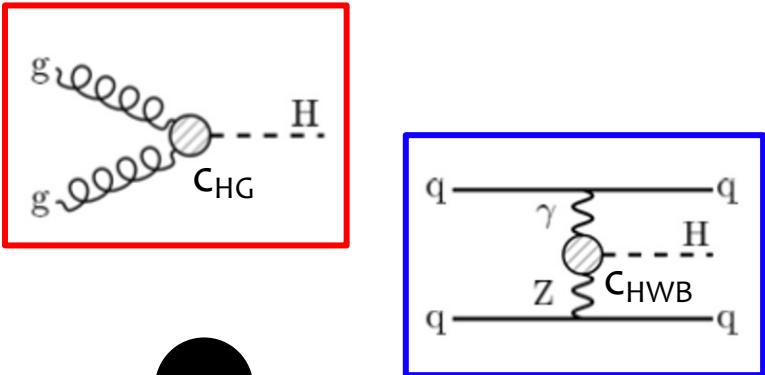
$$\mu_i \rightarrow \mu_i(\mathbf{c}) \quad \mu^f \rightarrow \mu^f(\mathbf{c})$$



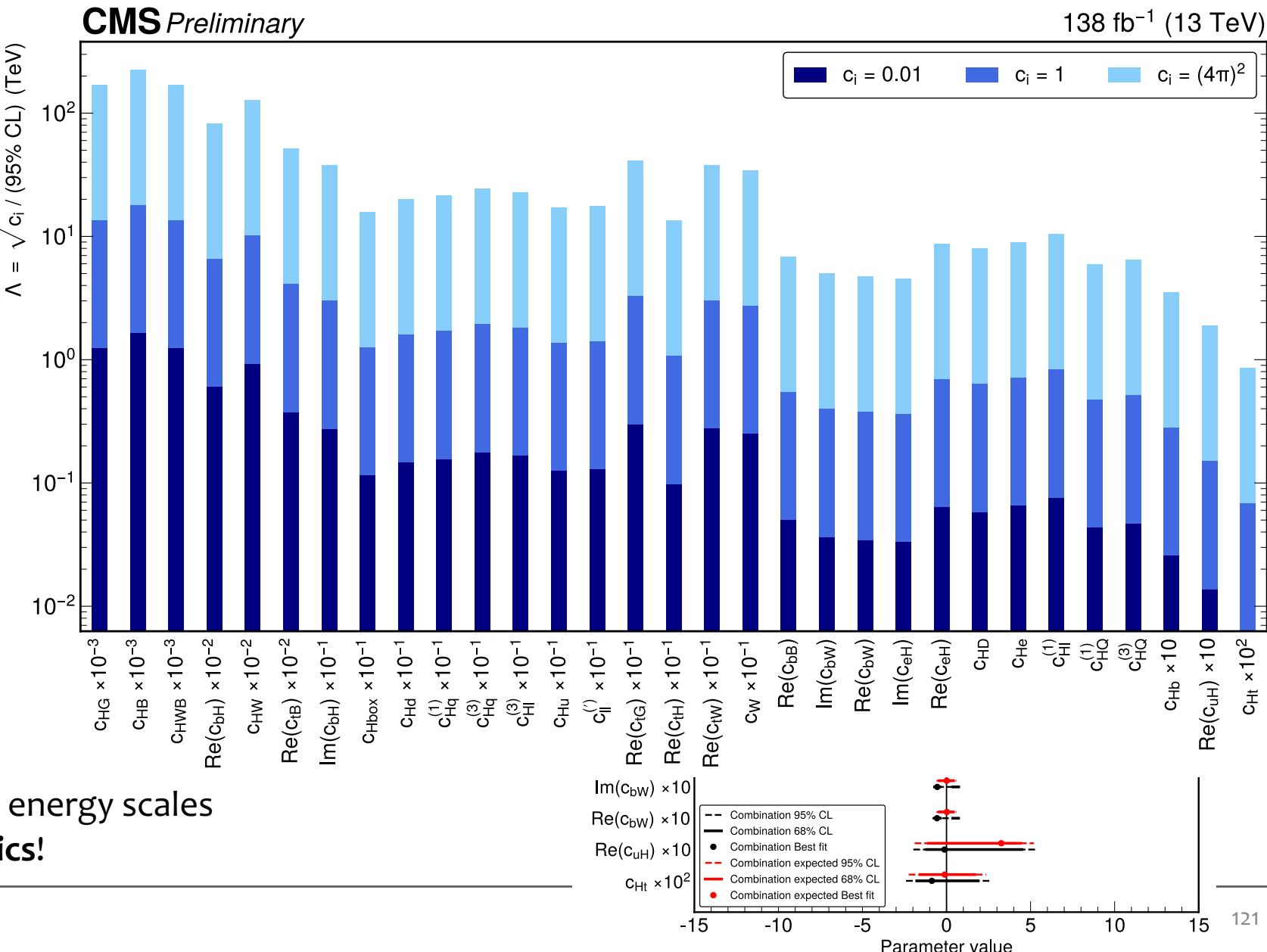
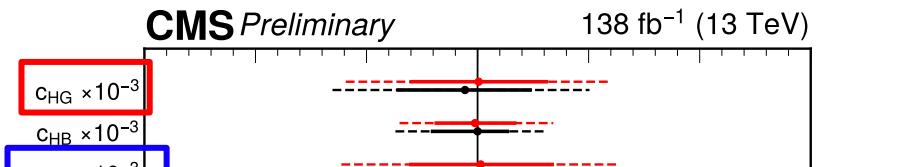
# Differential measurements for EFT

Conversion to lower bounds  
on New Physics scale  $\Lambda$

$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \sum_{d,j} \frac{c_j^{(d)}}{\Lambda^{d-4}} Q_j^{(d)}$$



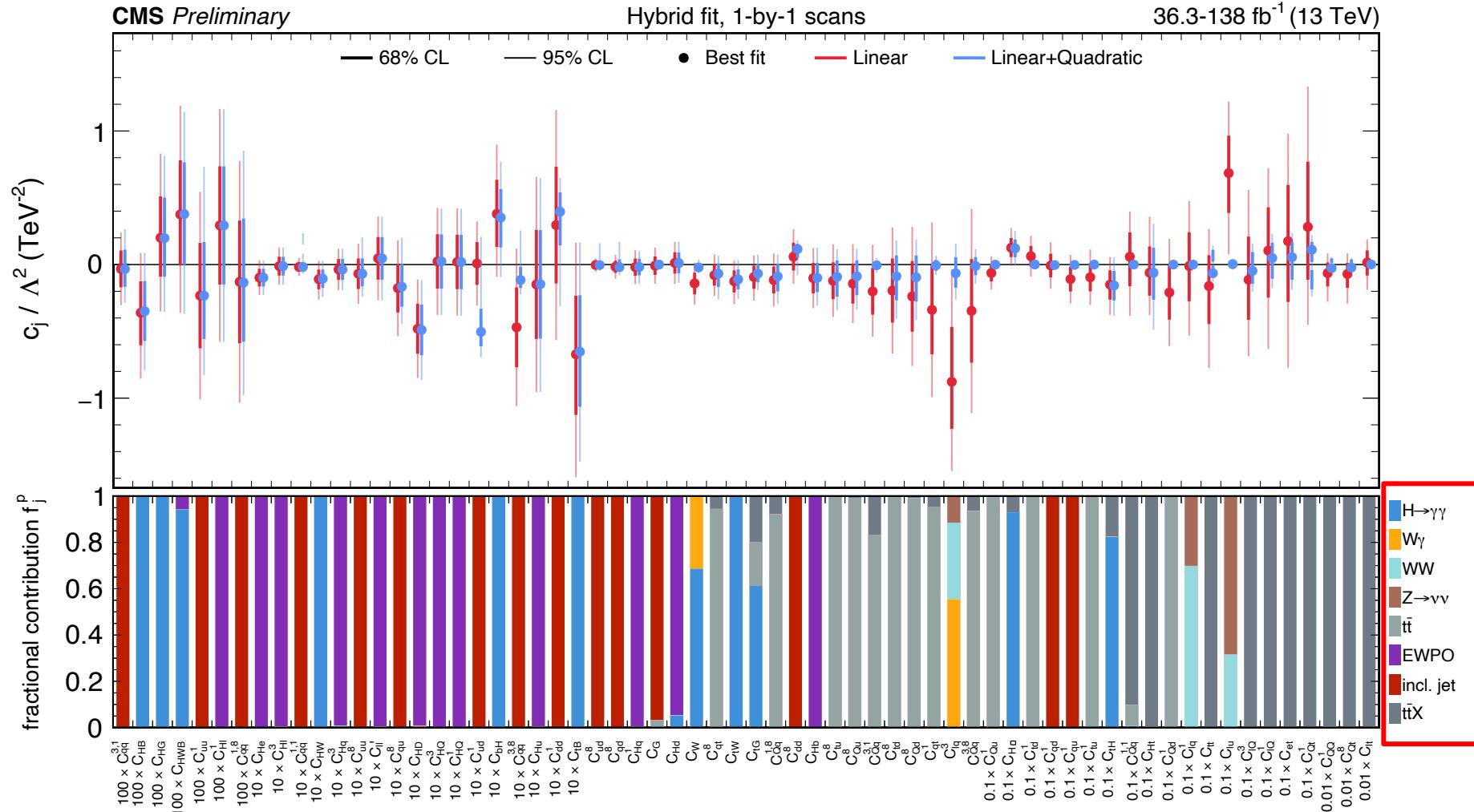
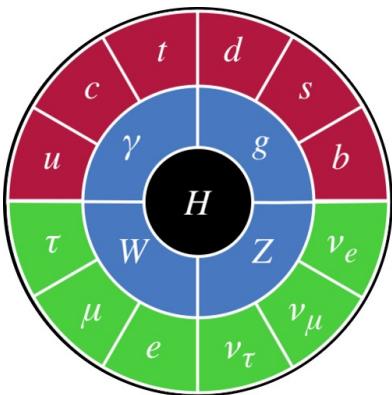
EFTs allow us to indirectly probe higher energy scales  
→ Guide on the path to New Physics!



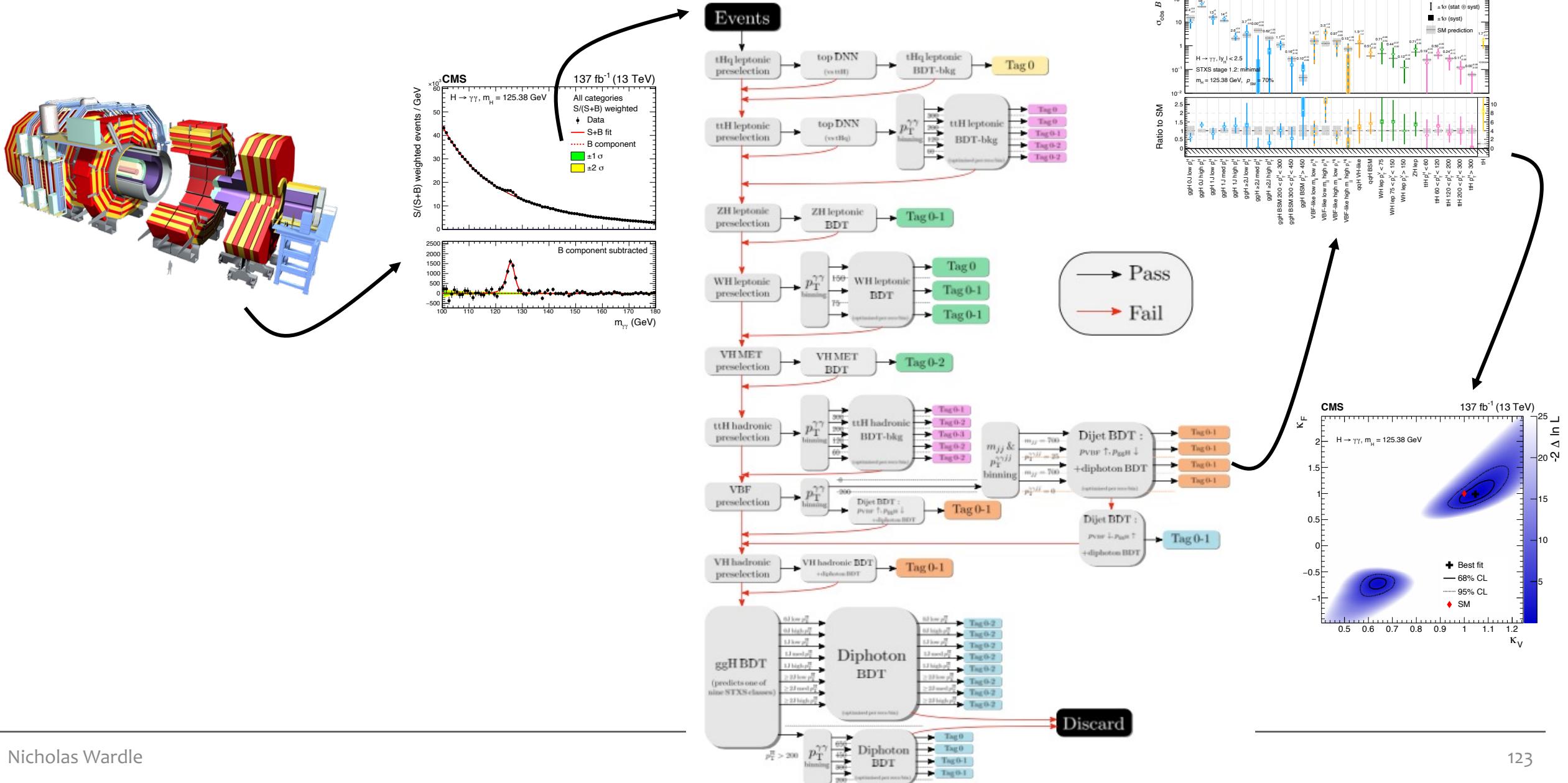
# Differential measurements for EFT

SMP-24-003

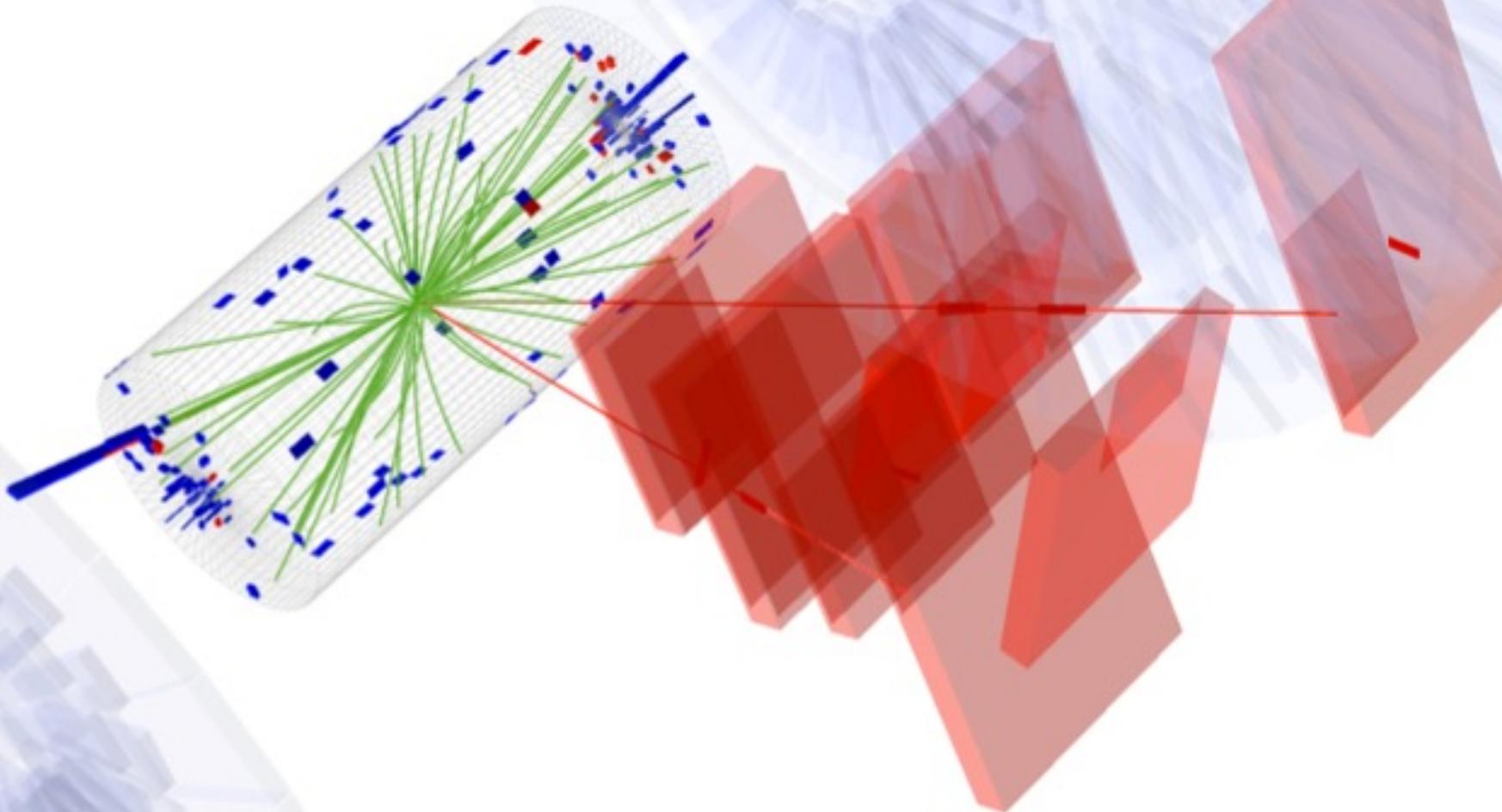
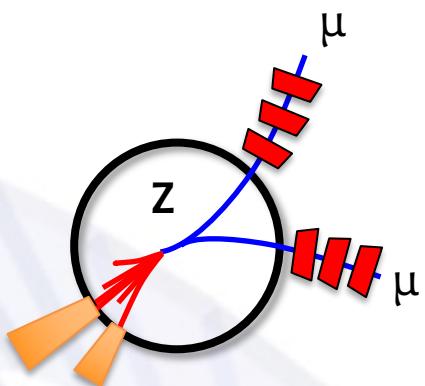
EFT provides consistent framework to combine measurements **across different sectors of the SM**



# A Real CMS analysis selection flow



# Data-driven background

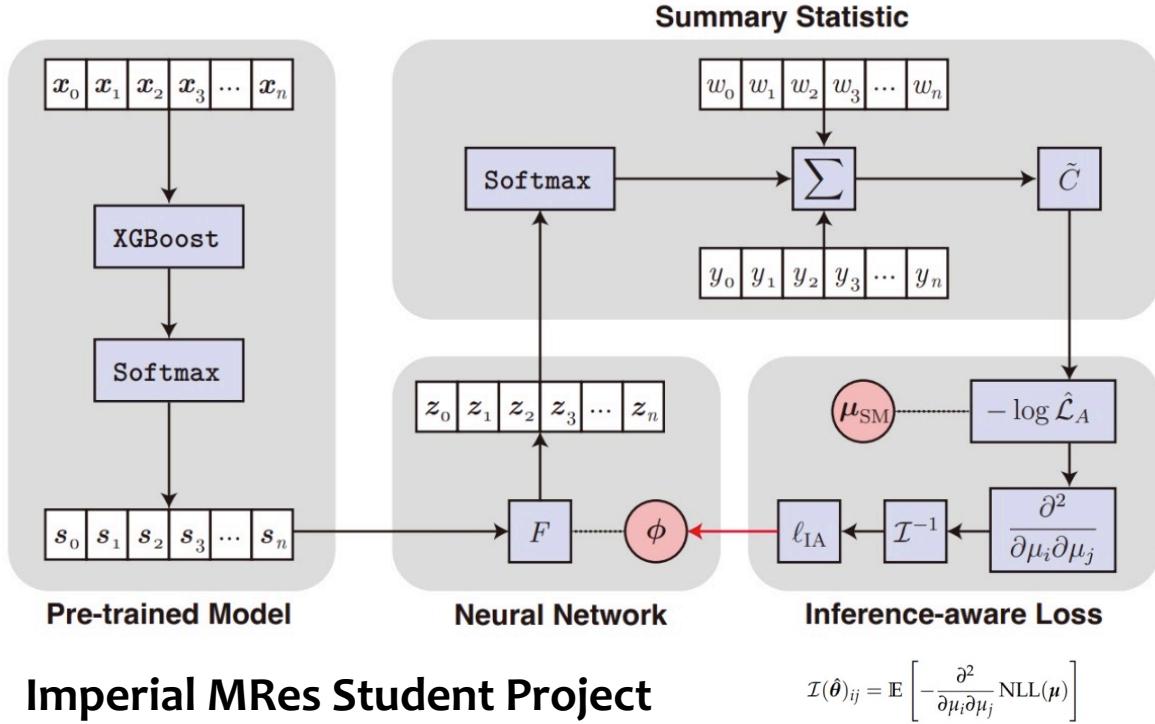


Estimate the normalization of the  
 $Z \rightarrow \text{neutrinos}$  background using data!

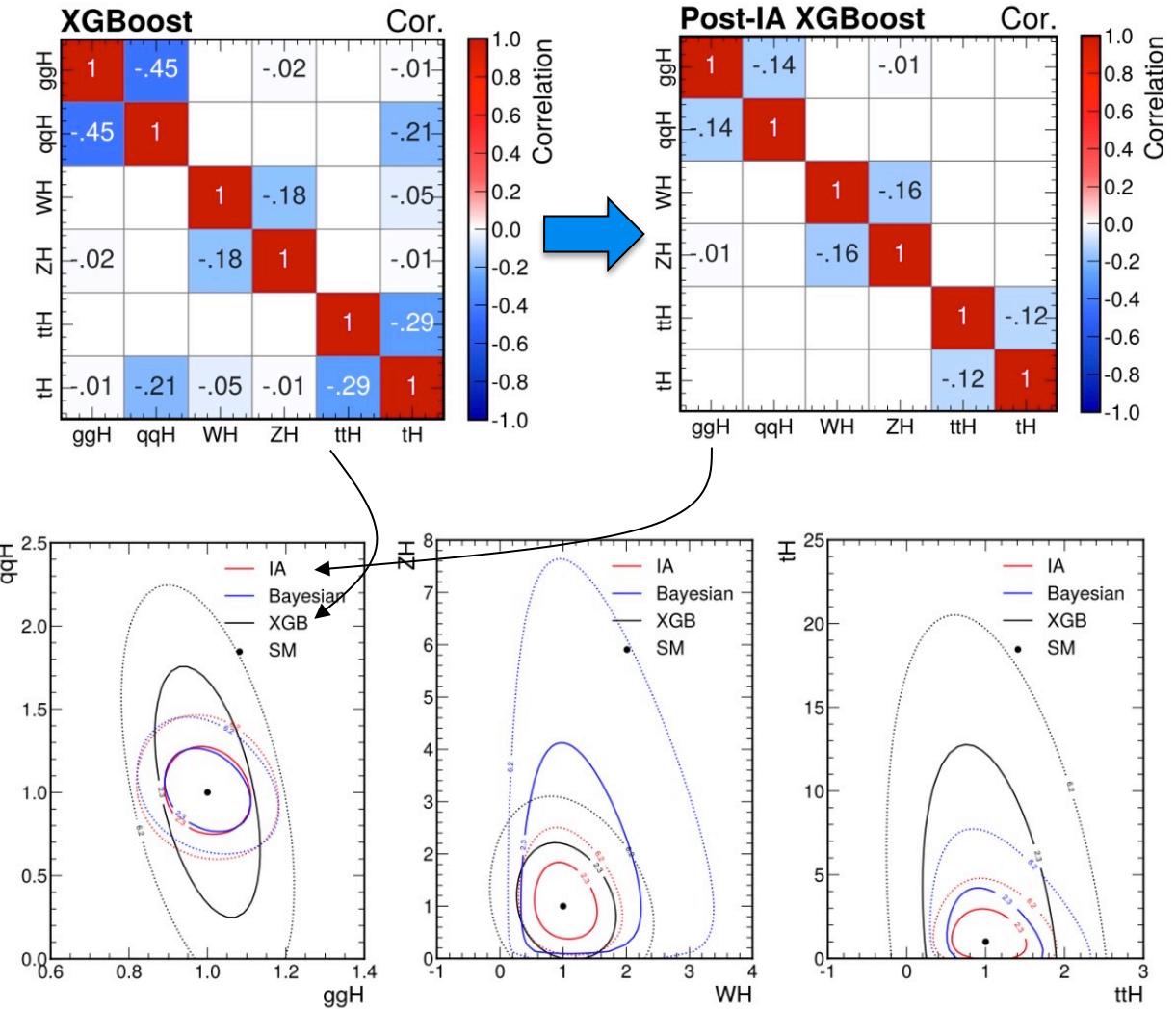
$$N_{Z(\rightarrow \nu\nu)} \approx N_{Z(\rightarrow \mu\mu)} \frac{B(Z \rightarrow \nu\nu)}{B(Z \rightarrow \mu\mu)} A(\mu) \epsilon(\mu)$$

# We're not there yet – and have new ideas in the pipeline

Inference aware optimization to improve sensitivity to Higgs production modes (STXS) in classification task

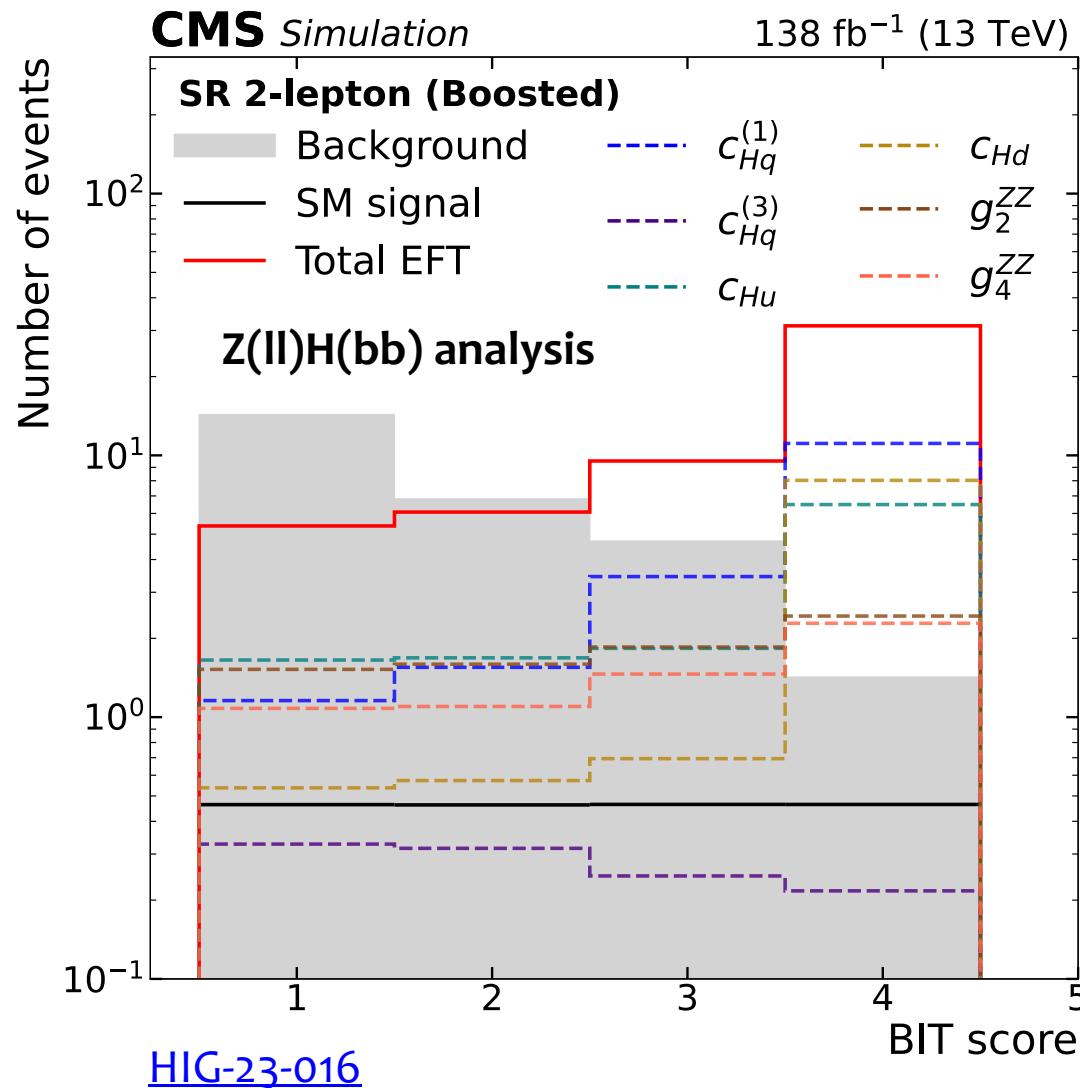


Imperial MRes Student Project

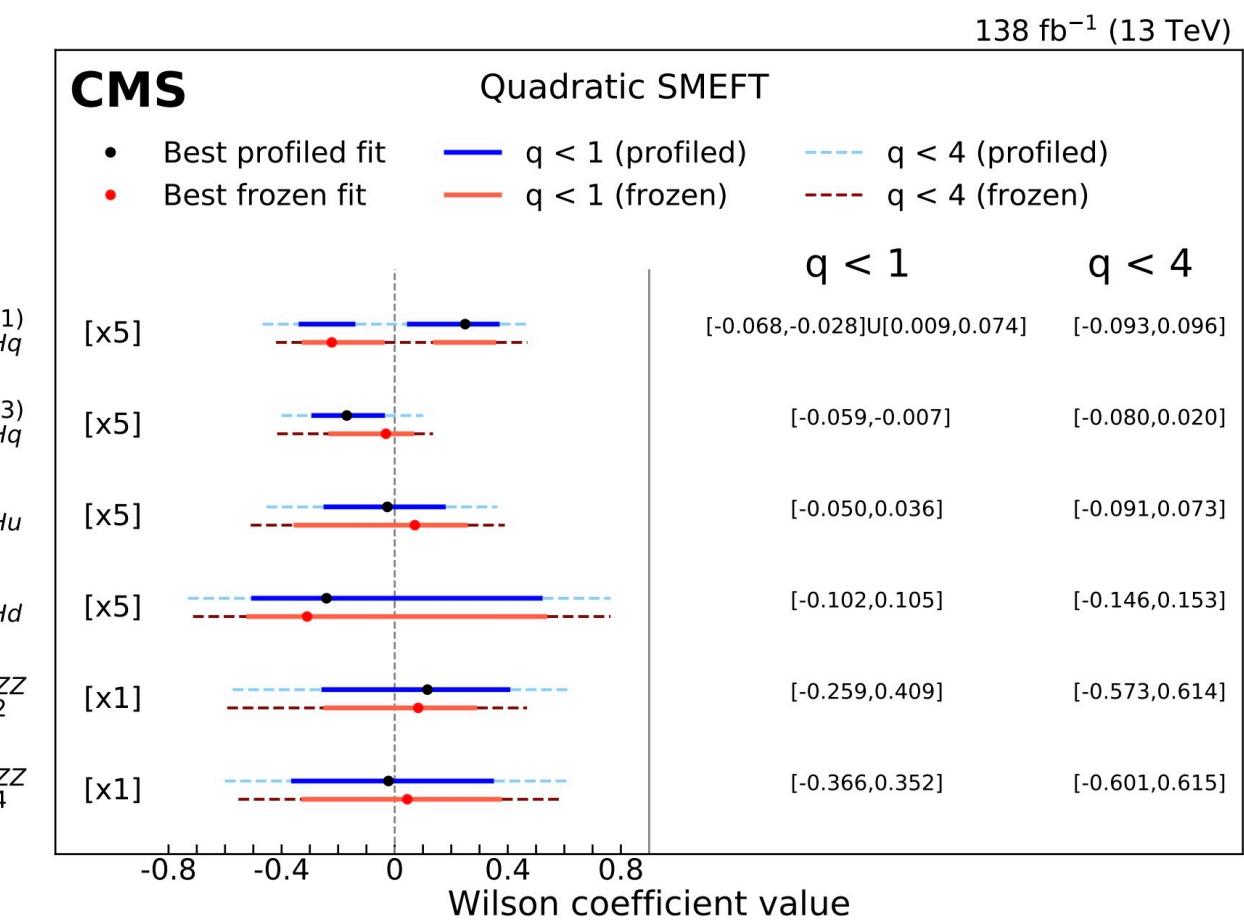


Similar improvements seen in 2-parameter model in  $H \rightarrow \tau\tau$  with systematics included in training ([MLG-23-005](#))

# VHbb EFT optimized analysis

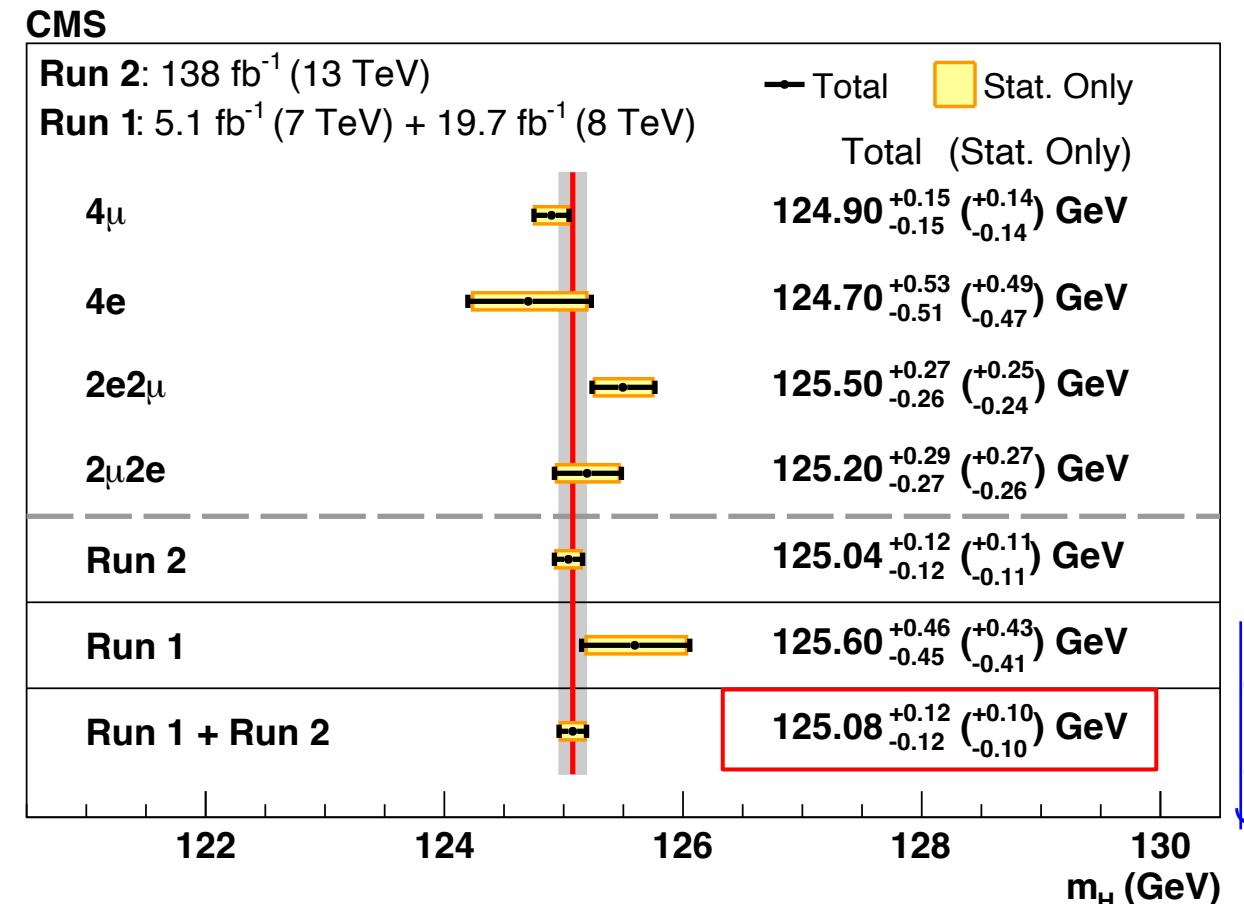
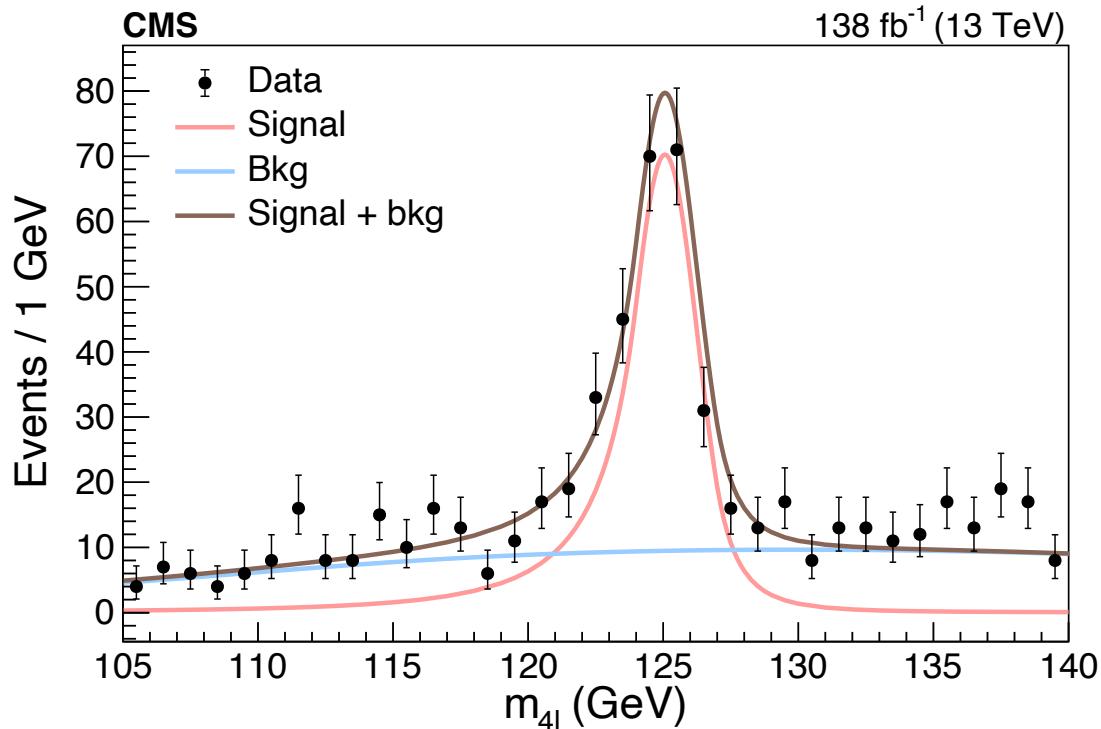


Simulation-based-inference ML approach to constrain multiple EFT coefficients at once → optimality across wide range of new physics scenarios!



# A massive achievement

Precision in Higgs boson mass at the level of **~0.1%** with Run-1 & Run-2 data using high resolution channels ( $H \rightarrow 4l$ )



With the value of  $m_H$  known, we can make **precision tests of the SM** with the Higgs boson!