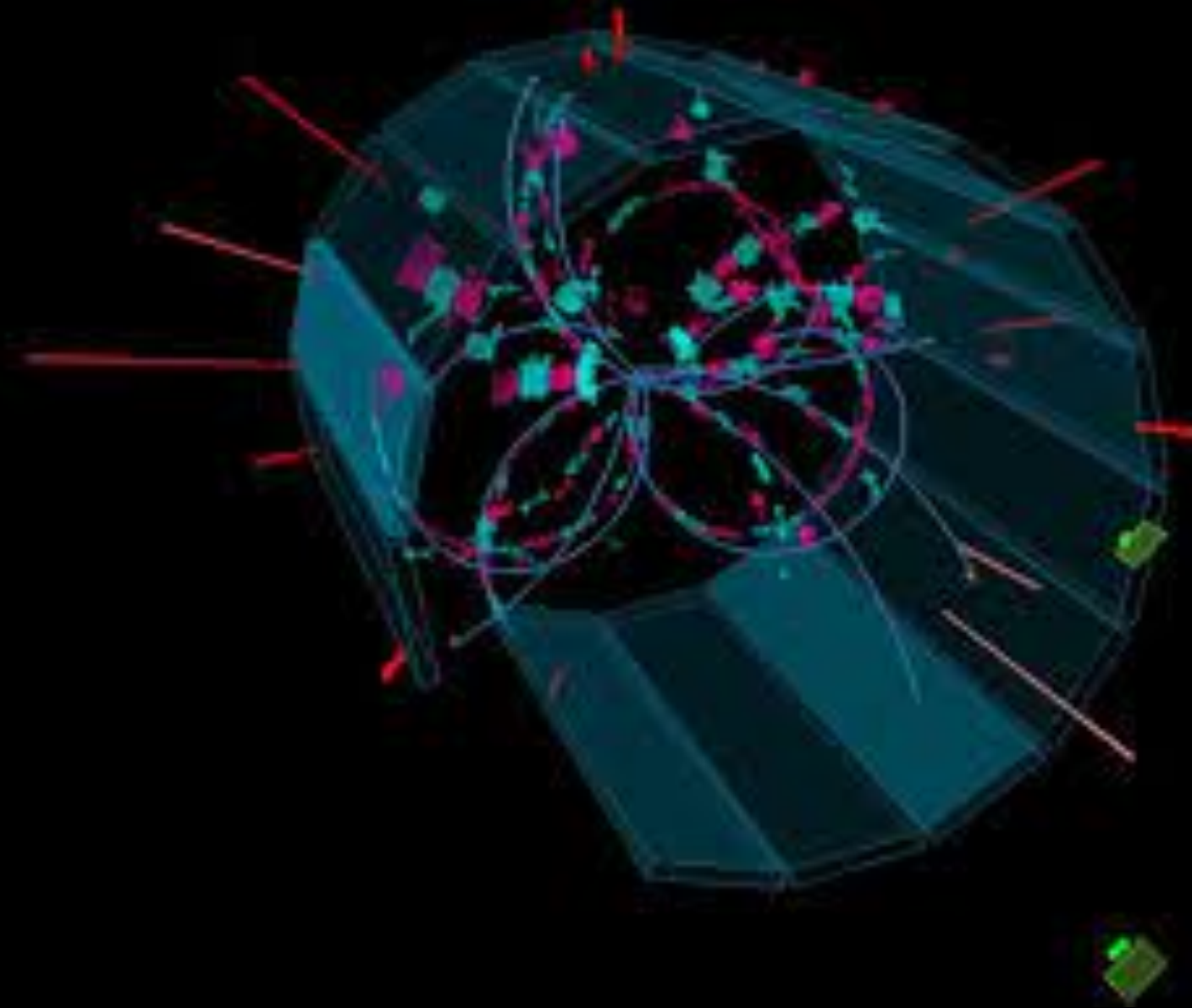


# *Dark Sectors at Flavor and Neutrino Factories*



**Pisa**  
**April 2nd 2025**

*Diego Redigolo*  
*INFN Florence*

# New search strategies

## @ muon factories



arXiv 2006.04795

with L. Calibbi, J. Zupan, R. Ziegler



arXiv 2203.11222

with Y. Jho, S. Knapen



arXiv 2311.17915 and arXiv 2311.17913

with S. Knapen, K. Langhoff, T. Opferkuch



arXiv 2410.13941 with S. Knapen, T. Opferkuch, M. Tammaro



## @ neutrino factories



to appear

with M. Borrello, M. Costa





# *DARK MATTER & NEUTRINOS* *as doors to new physics*



## Overwhelming experimental evidence from experiments

The existence of a **cold collisionless fluid** is guaranteed by astro and cosmo observables

The existence of a **neutrino masses** is guaranteed by oscillations exp.

## No idea of the fundamental origin of what we see...

What is the **dark matter lagrangian**?

What dark matter is the **origin of neutrino masses**?

# *No guaranteed signal for Dark Matter*

Dark Matter can be a singlet of the Standard Model

Dark Matter can be easily be produced non thermally

NO SIGNALS other than Dark Matter gravitational interactions!

# *No guaranteed signal for Neutrinos*

The smallness of Majorana neutrino masses can come from

very heavy steriles

very weakly coupled steriles

$$y_n H L N + M_N N^2$$

SMALL  $m_\nu = U_{N\nu}^2 M_N$   $\longleftrightarrow$   $U_{N\nu} = \frac{y_N v}{M_N}$  SMALL





*We might still be lucky...  
...and see something*

## ADVANTAGEOUS PARADIGM FOR ACCELERATORS

*The Dark Matter is **light thermal relics***

*For example SM neutrinos are a component of the dark matter today and are easily produced at accelerators while their relic background is difficult to unveil*

*The neutrino mass comes from **inverse seesaw***

$$y_n H L N + M_N N \bar{N} + \mu_N N^2$$

SMALL  $m_\nu = U_{N\nu}^2 \mu_N$   $\xleftrightarrow{\mu_N \ll M_N}$   $U_{N\nu} = \frac{y_N v}{M_N}$  LARGE

# THE DARK SECTOR

*Accepting the existence of a Standard Model singlet it is useful to develop an EFT approach and explore the possible mediation channels*

$$\mathcal{L}_{\text{portal}} \supset \frac{c_n}{\Lambda^{\Delta_{\text{DS}} + \Delta_{\text{SM}} - 4}} \mathcal{O}_{\text{DS}} \mathcal{O}_{\text{SM}}$$

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*Lowest dimensional portals*  $\xrightarrow{\text{Very true}}$  *Largest rates*



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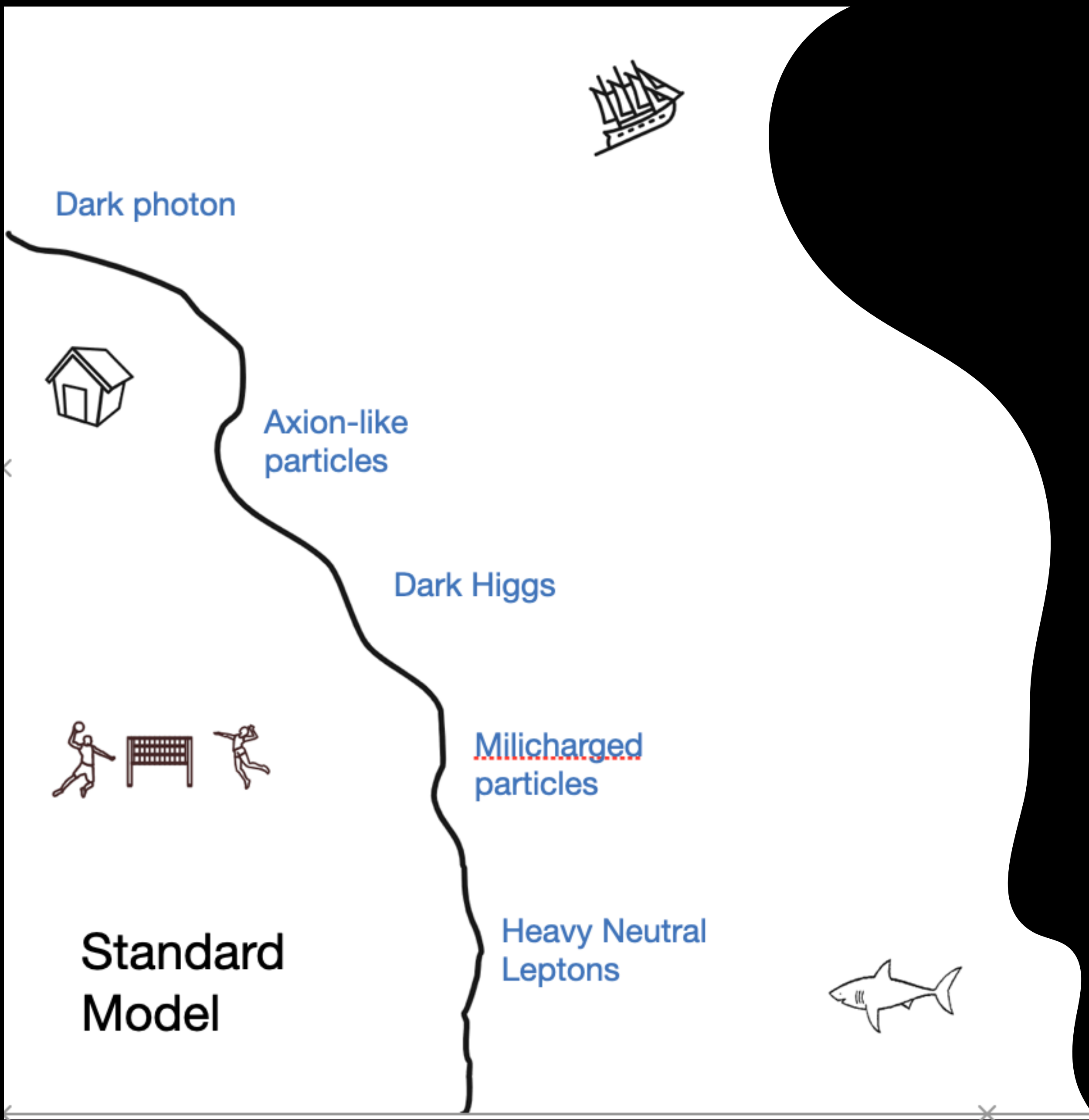
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*Lowest dimensional portals*  $\xrightarrow{\text{Very true}}$  *Largest rates*

$\mathcal{O}_{\text{DS}} = \{\phi, V, N\}$  portal mediated by a fundamental particle {scalar, vector, fermion} are the ones with the largest rates



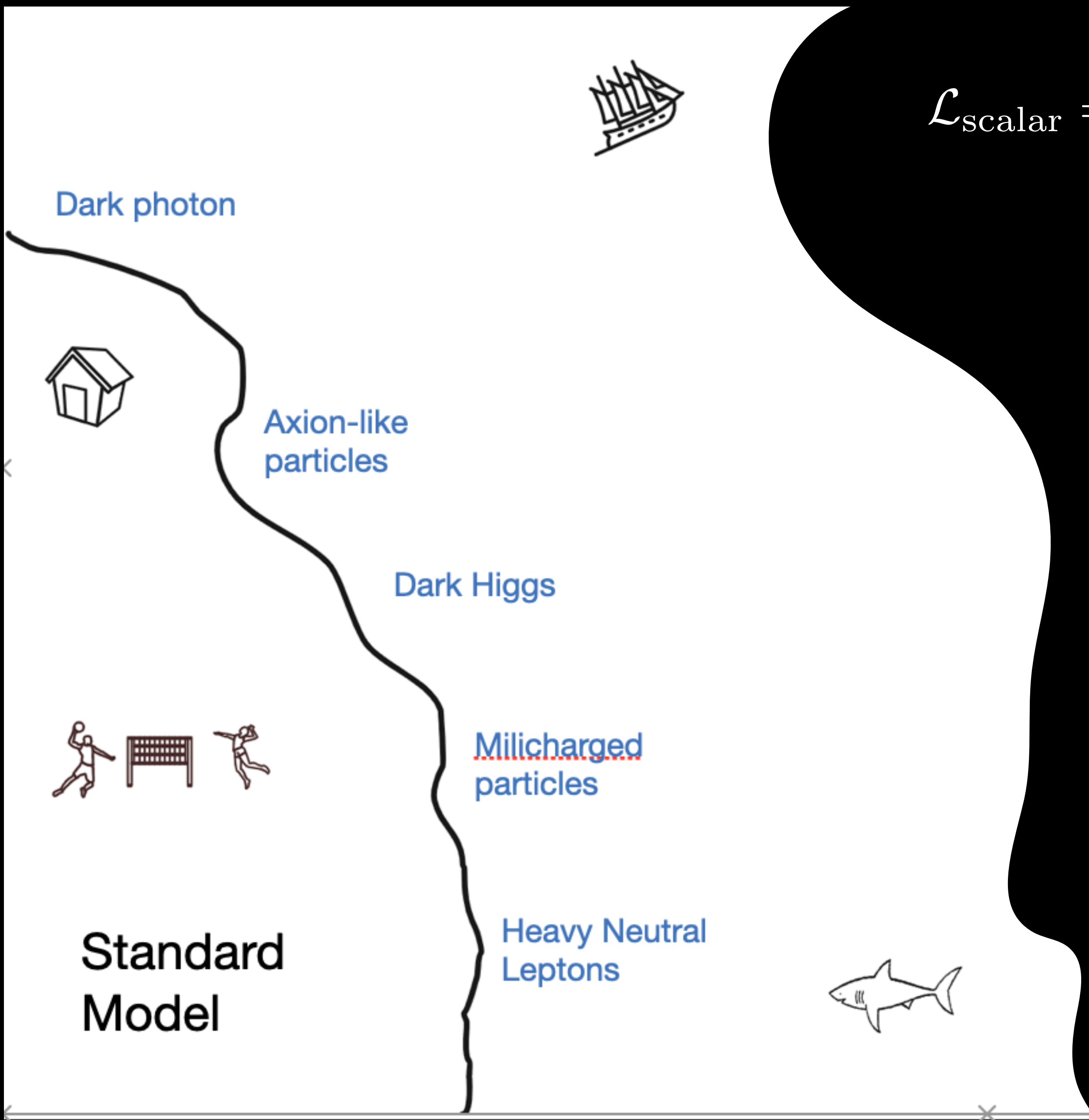
# EXPLORING THE DARK SECTOR LANDSCAPE



$$\mathcal{L}_{\text{ALP}} = \frac{\partial_\mu a}{2f_a} \bar{f}_i C_{f_i}^A \gamma_5 f_i + \frac{g_{a\gamma\gamma}}{4} a F \tilde{F} + \dots$$

ALP couplings @ dimension 5

# EXPLORING THE DARK SECTOR LANDSCAPE

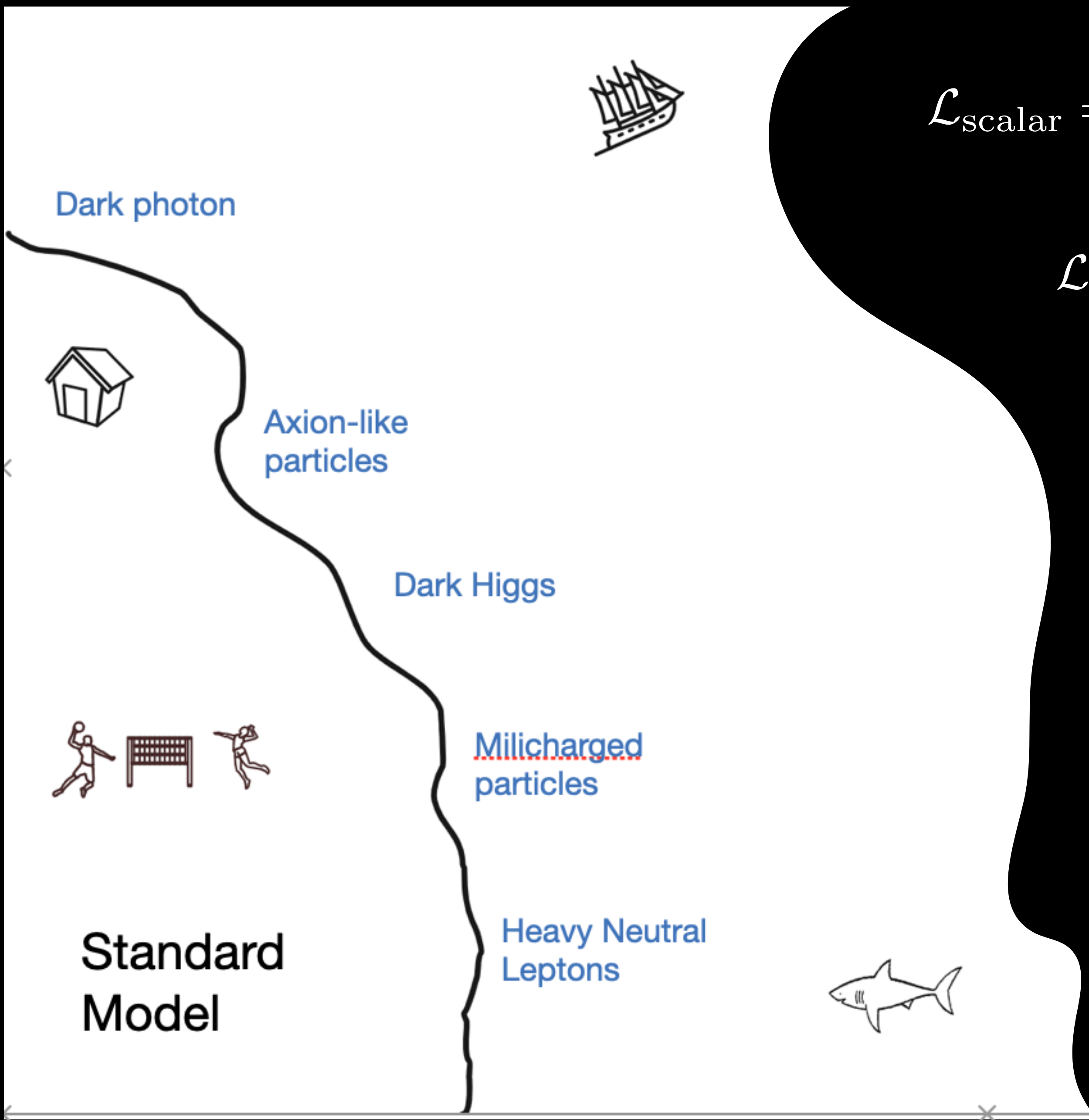


$$\mathcal{L}_{\text{scalar}} = H^\dagger H (\kappa S + \lambda S^2) \begin{cases} \kappa & \text{mixing Dark Higgs - SM Higgs} \\ \lambda & \text{SM to double Dark Higgs pairs} \end{cases}$$

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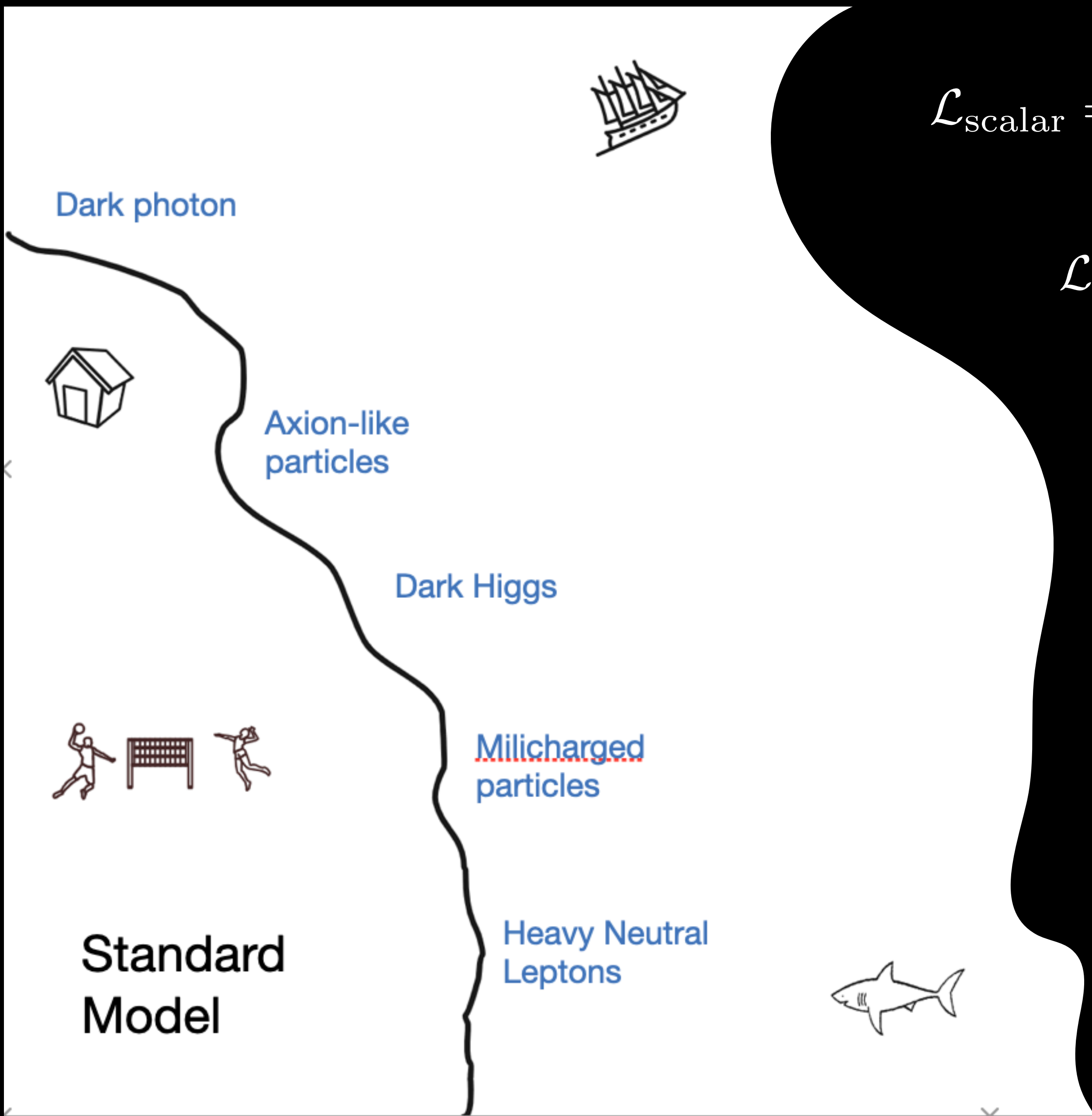
$$\mathcal{L}_{\text{vector}} = \epsilon B_{\mu\nu} V_{\mu\nu} \quad \epsilon \text{ mixing Dark photon - photon}$$

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$$\mathcal{L}_{\text{HNL}} = y_N H L N \quad y_N \text{ mixing HNL-neutrino}$$

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ALP couplings @ dimension 5

# *Light relic FREEZE-OUT*

*The existence of the portal drives the dark sector at equilibrium with the visible one*

*Annihilations into Standard Model set the relic abundance today*



*Annihilations need to be strong enough*



*Lower bound on the interaction strength*



*Sharp experimental target*



*If the portal to the dark sector*

$$\mathcal{L}_{\text{portal}} \supset \frac{c_n}{\Lambda^{\Delta_{\text{DS}} + \Delta_{\text{SM}} - 4}} \mathcal{O}_{\text{DS}} \mathcal{O}_{\text{SM}}$$

*breaks Standard Model accidental symmetries*



*smaller couplings can be probed @ accelerators*

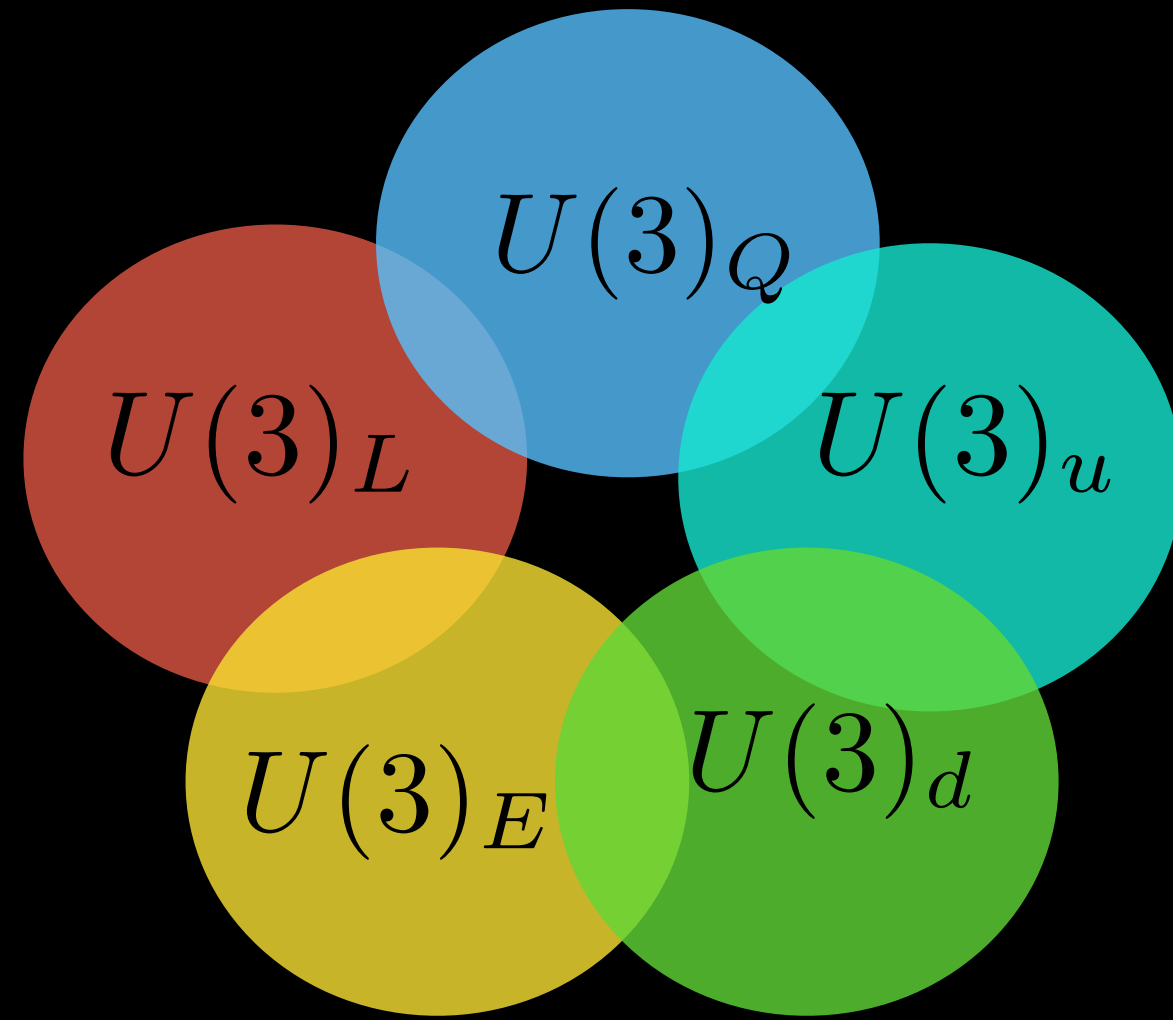


*compatible with **no thermal contact** between  
the visible and the dark sector*



*Freeze-in and/or non-thermal production can give a target*

# Example: Flavor violating axions



*Peccei-Quinn charges can be flavor dependent*



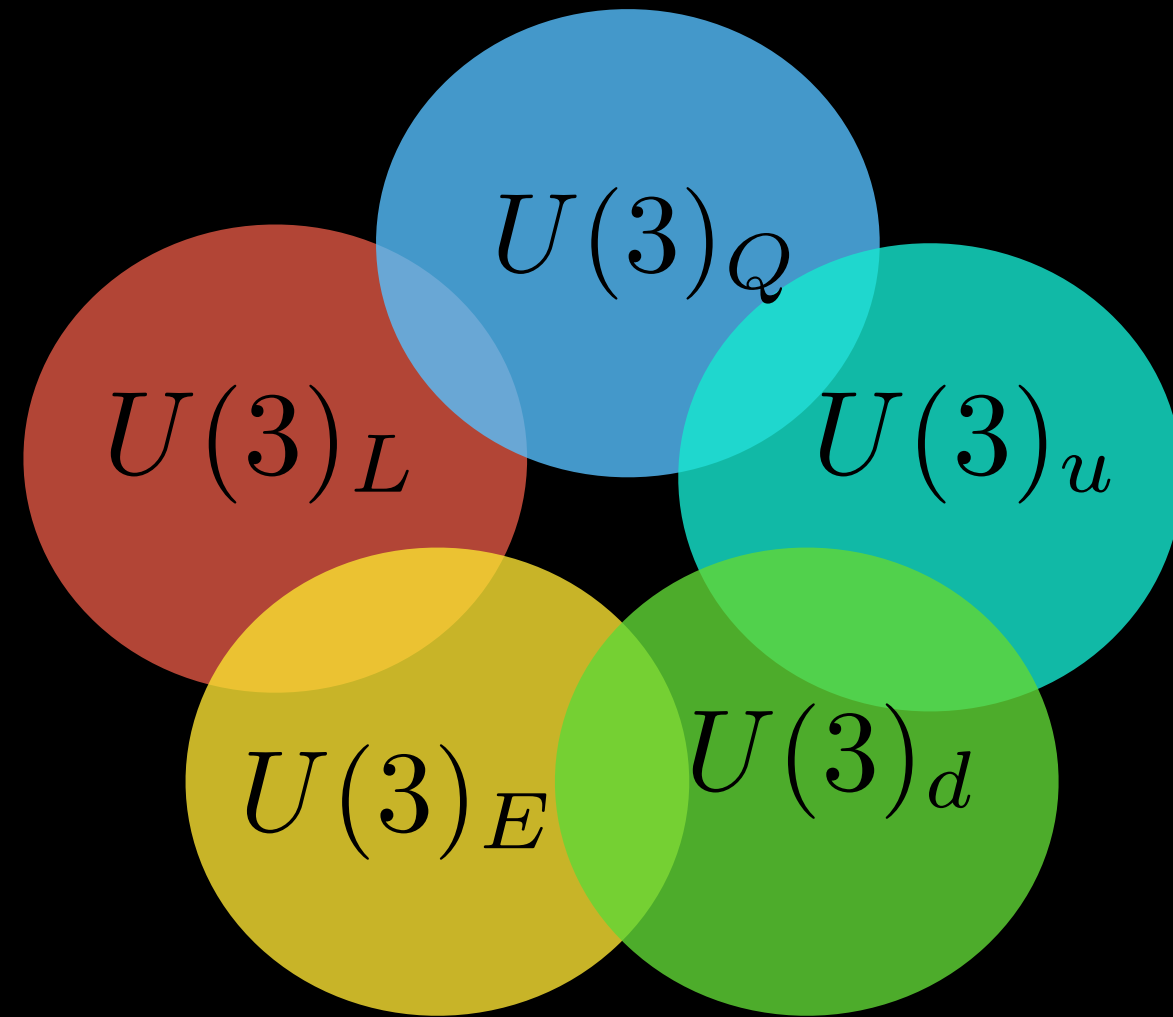
*Calibbi-Goertz-Redigolo-Ziegler-Zupan 2016*

*Ema-Hamaguchi-Moroi-Nakayama 2016*

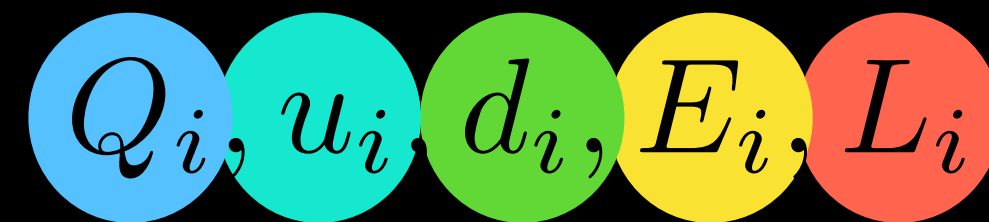
$$\frac{\partial_\mu a}{2f_a} \bar{f}_i C_{f_i}^A \gamma_5 f_i + \frac{g_{a\gamma\gamma}}{4} a F_{\mu\nu} \tilde{F}_{\mu\nu}$$



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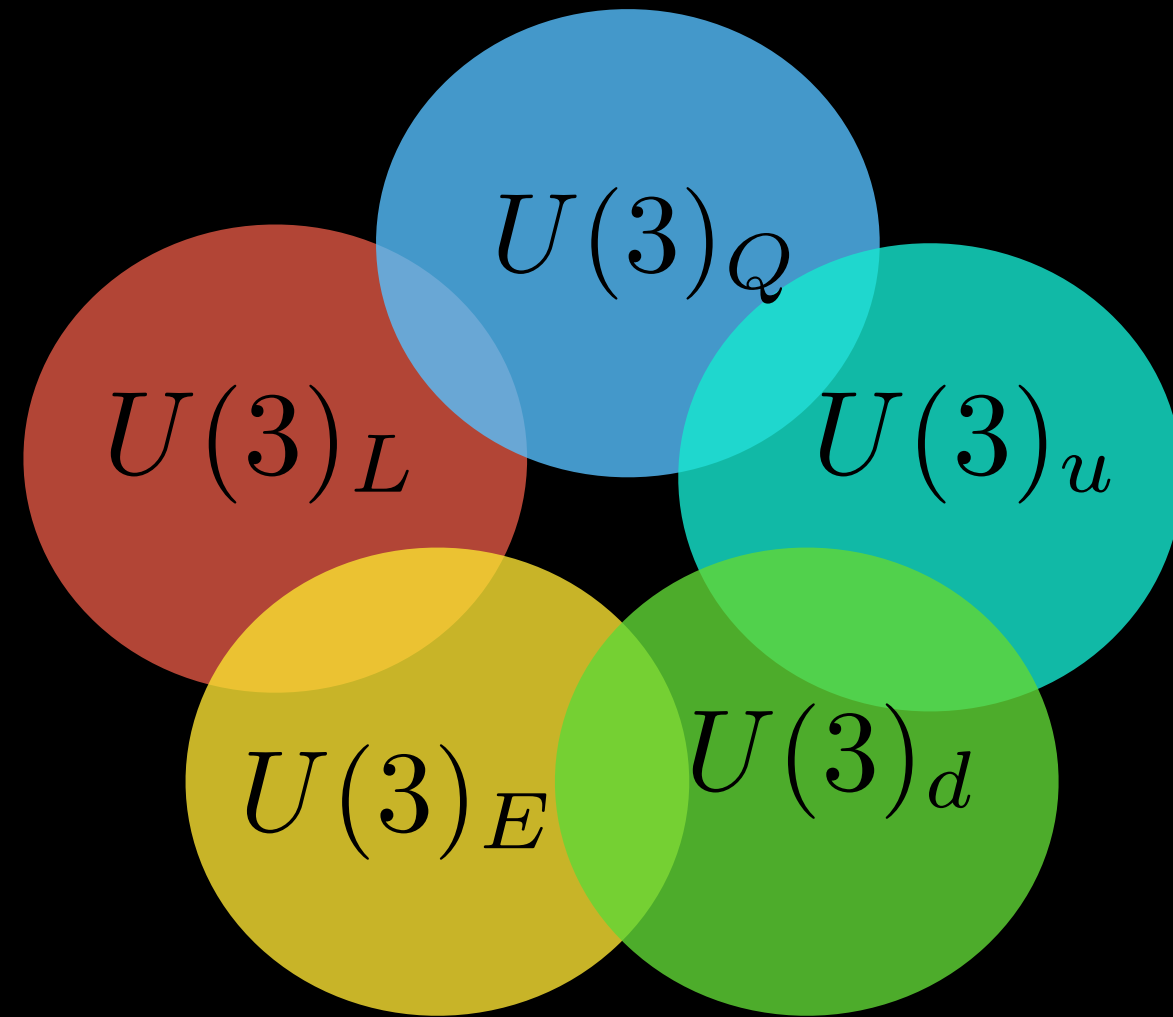
*Ema-Hamaguchi-Moroi-Nakayama 2016*

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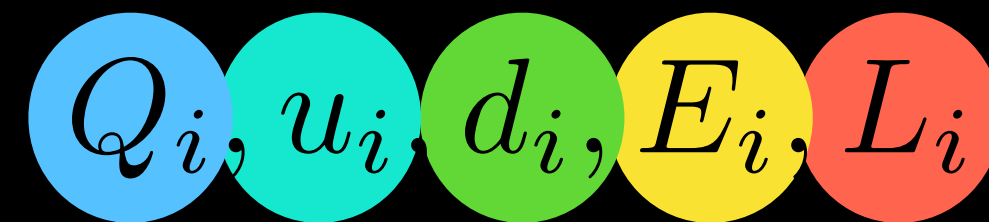
$$\sum_{i \neq j} \frac{\partial_\mu a}{2f_a} \bar{f}_i \gamma^\mu (C_{f_i f_j}^V + C_{f_i f_j}^A \gamma_5) f_j$$

*Feng-Murayama-Moroi-Shnapka 1998*

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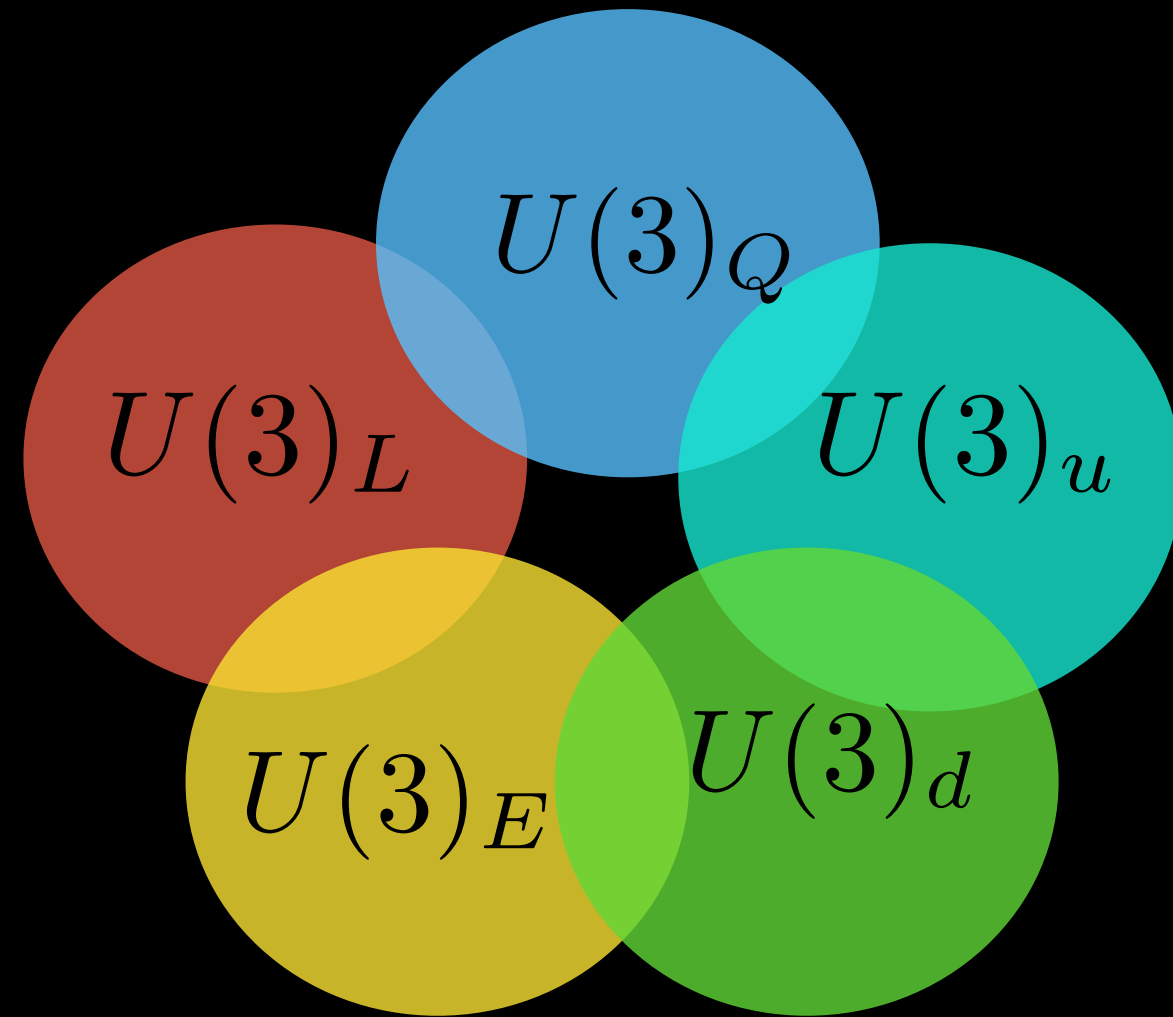
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The hierarchy **FLAVOR-DIAGONAL** vs **FLAVOR-VIOLATING** depends on the UV flavor theory

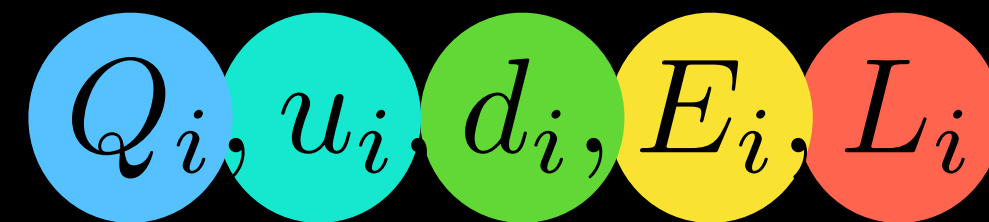
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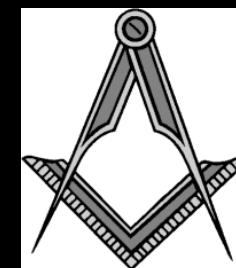
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**Flavor Anarchy:**

$$C_{ij}^{A,V}(\Lambda_{UV}) \sim \mathcal{O}(1)$$



**Minimal Flavor Violation:**

$$C_{ij}^{A,V}(\Lambda_{UV}) = 0$$

# Flavor violating axions freeze-in

The axion abundance is produced through leptonic FV decays

$$\Omega_a h^2 |_{\ell_i \rightarrow \ell_j a} \approx 0.12 \left( \frac{m_a}{50 \text{ keV}} \right) \left( \frac{m_{\ell_i}}{m_\tau} \right) \left( \frac{5 \times 10^9 \text{ GeV}}{f_a / C_{\ell_i \ell_j}} \right)^2 \left( \frac{75}{g_*(m_{\ell_i})} \right)^{3/2}$$

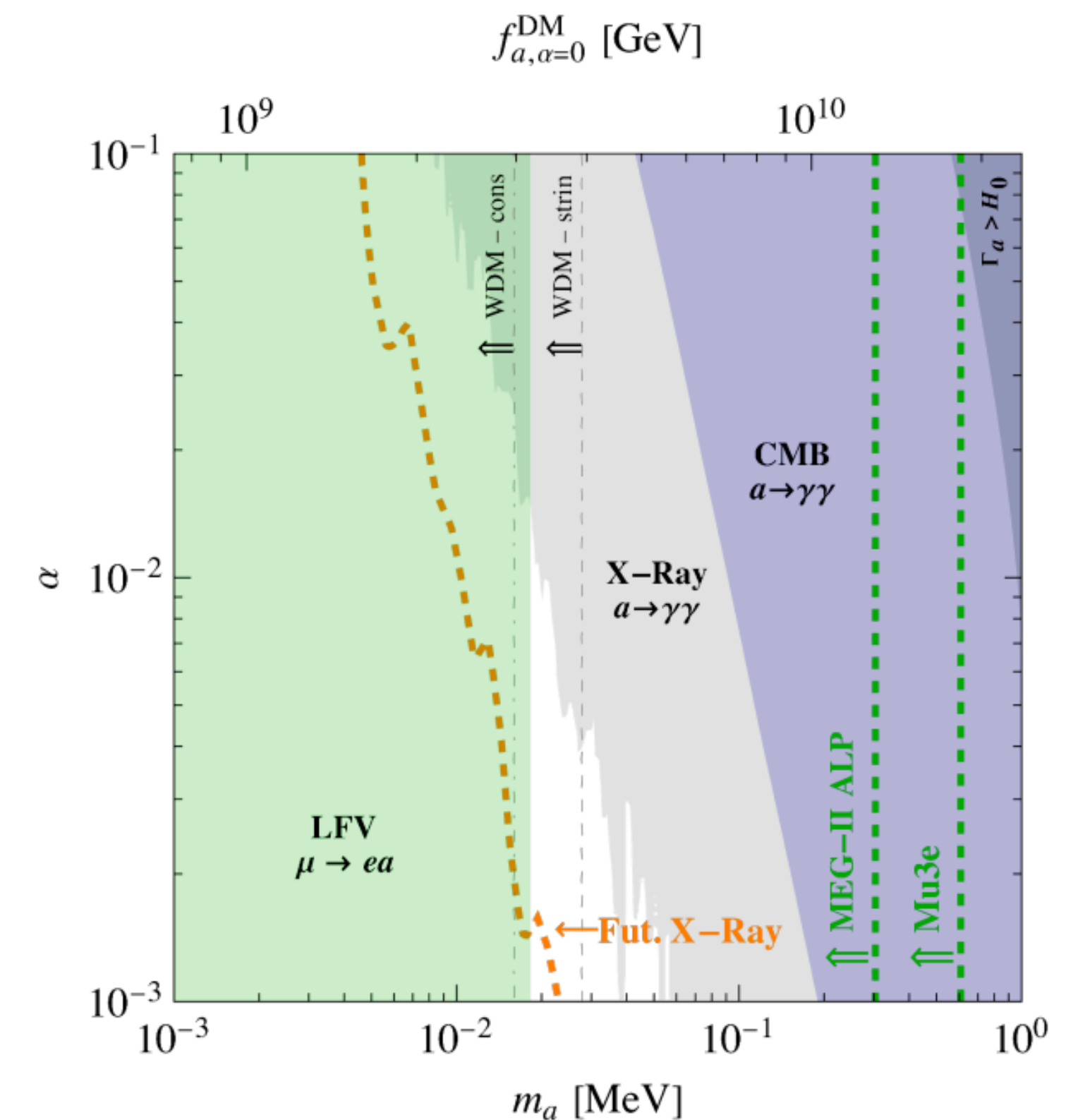
$$\tan \alpha \equiv C_{\ell_i} / C_{\ell_i \ell_j}$$

The axion should be long-lived to avoid constraints from gamma-lines

$$\Gamma_{a \rightarrow \gamma\gamma} \approx \frac{\alpha_{\text{em}}^2 m_a^3}{64\pi^3 f_a^2} \left| \sum_i C_{\ell_i \ell_i}^A \frac{m_a^2}{12m_{\ell_i}^2} \right|^2$$

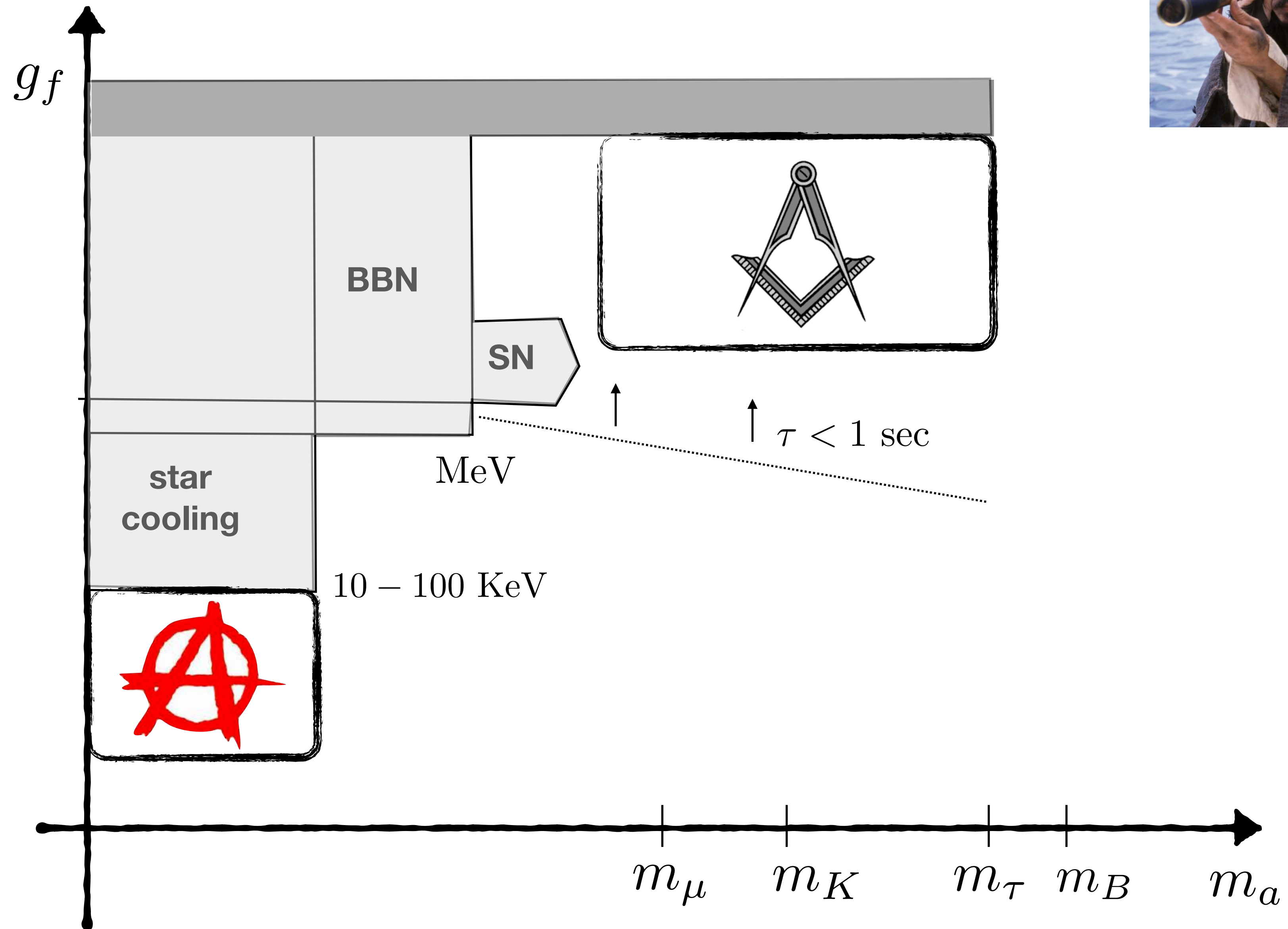
$$\tau_a^{\gamma\gamma} \gtrsim (10^{26} \rightarrow 10^{28}) \text{ sec}$$

This simple DM production mechanism **sets a target for LFV experiments**

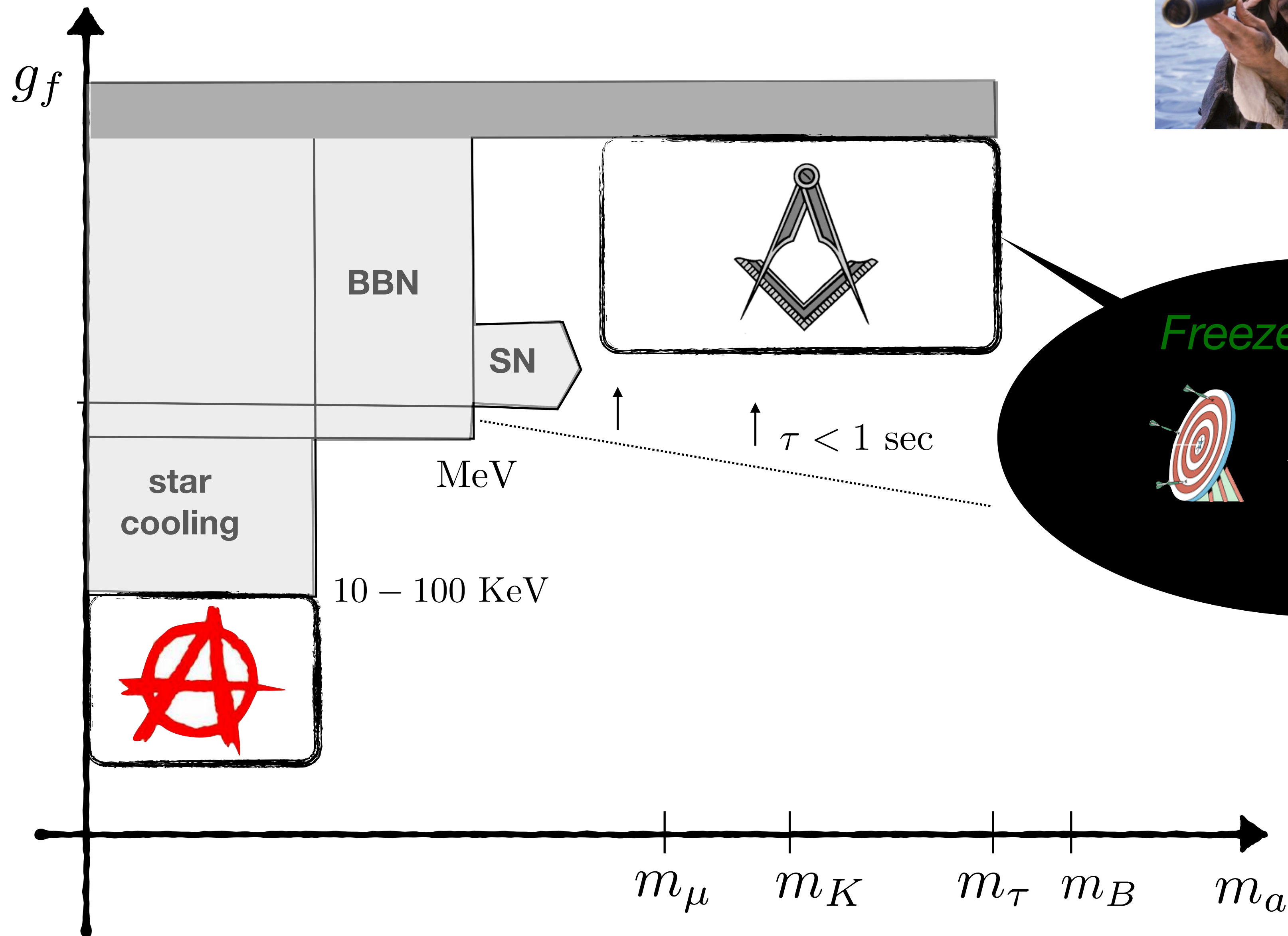





# ALP theory landscape



# ALP theory landscape



*Freeze-out targets*



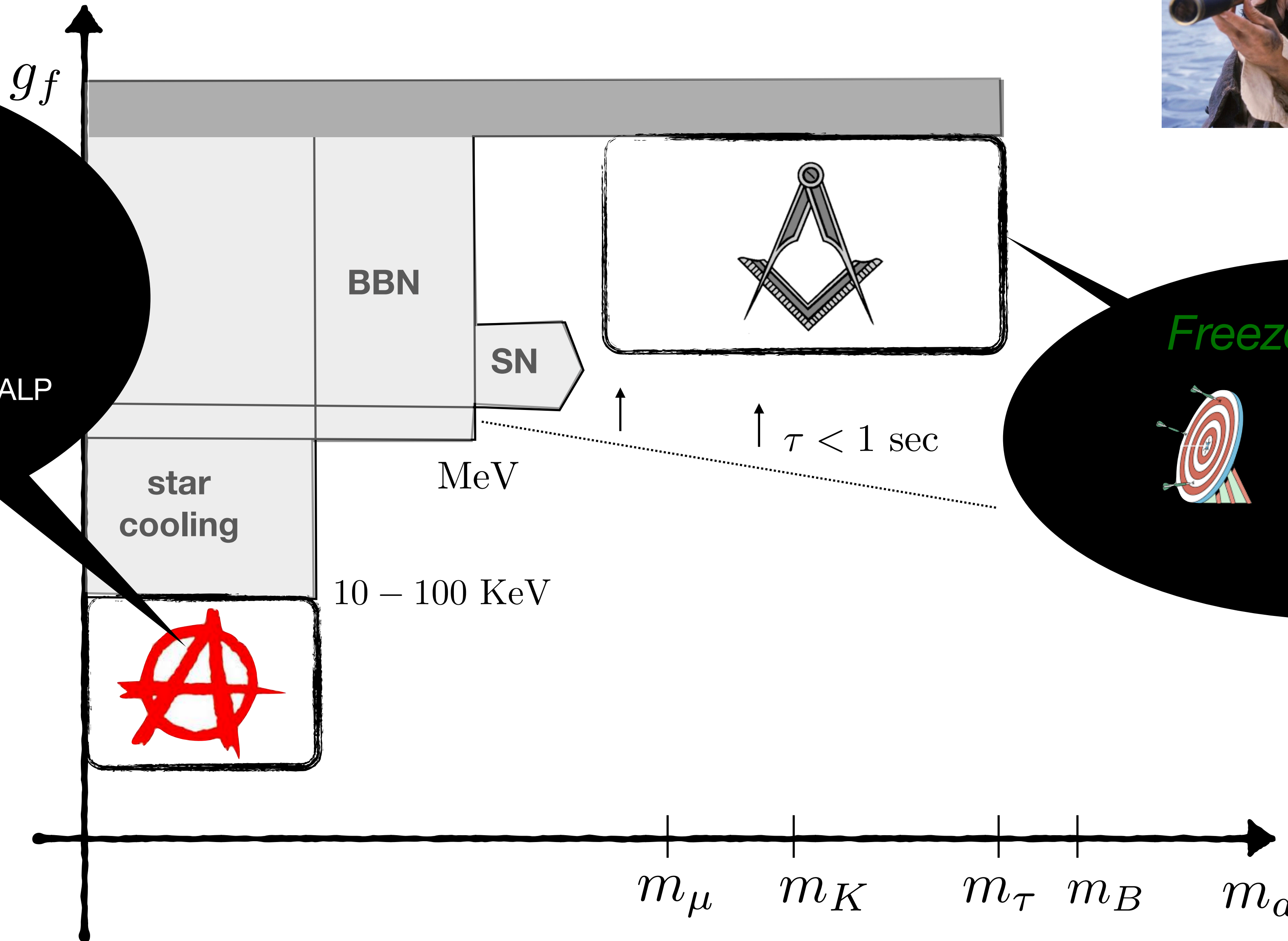
Example:  
Dark matter freeze-out  
through ALP-portal



# ALP theory landscape



**Breaking of SM accidental symmetries**  
 Example:  
 Lepton flavor violating ALP  
 Freezing-in



**Freeze-out targets**  
 Example:  
 Dark matter freeze-out through ALP-portal

# *New ideas to probe dark sectors targets*



*Triggering data that would otherwise get lost*

*Example @*



*Squeezing the data as much as we can*

*Example @*





# Triggers



*Enormous luminosities poses trigger challenges*

*We need to know what to look for in advance*

*MEG II as an example*



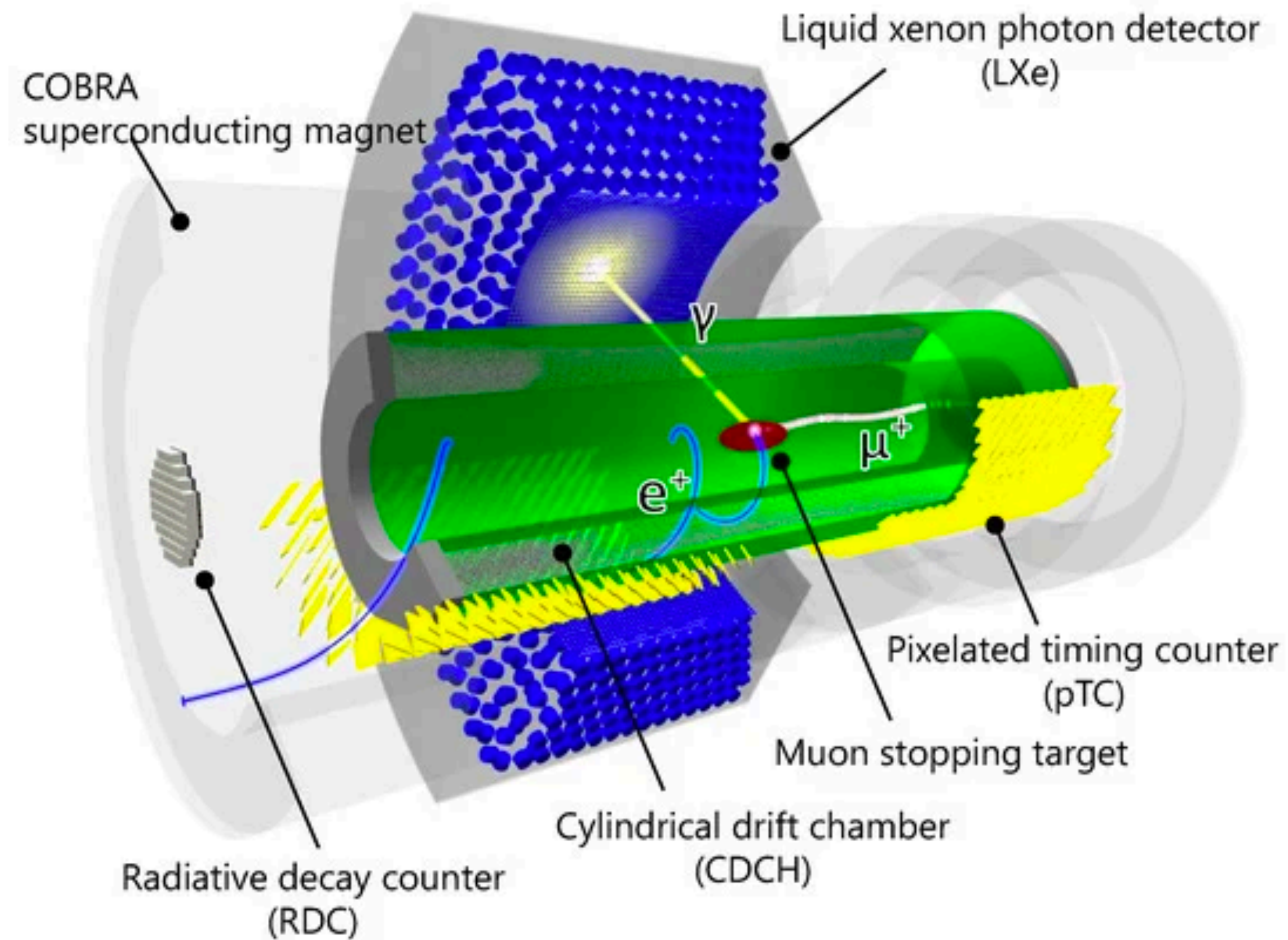
see [arXiv 2203.11222](https://arxiv.org/abs/2203.11222)  
with Y. Jho, S. Knapen





# MEG II

$$\text{BR}(\mu \rightarrow e\gamma) < 4.2 \times 10^{-13} \quad \text{MEG 2016}$$



## Trigger level info:

- 1) Photon energy by liquid Xenon scintillator
- 2) hit on the timing counter

## Offline:

- 3) full mesure of the positron momentum



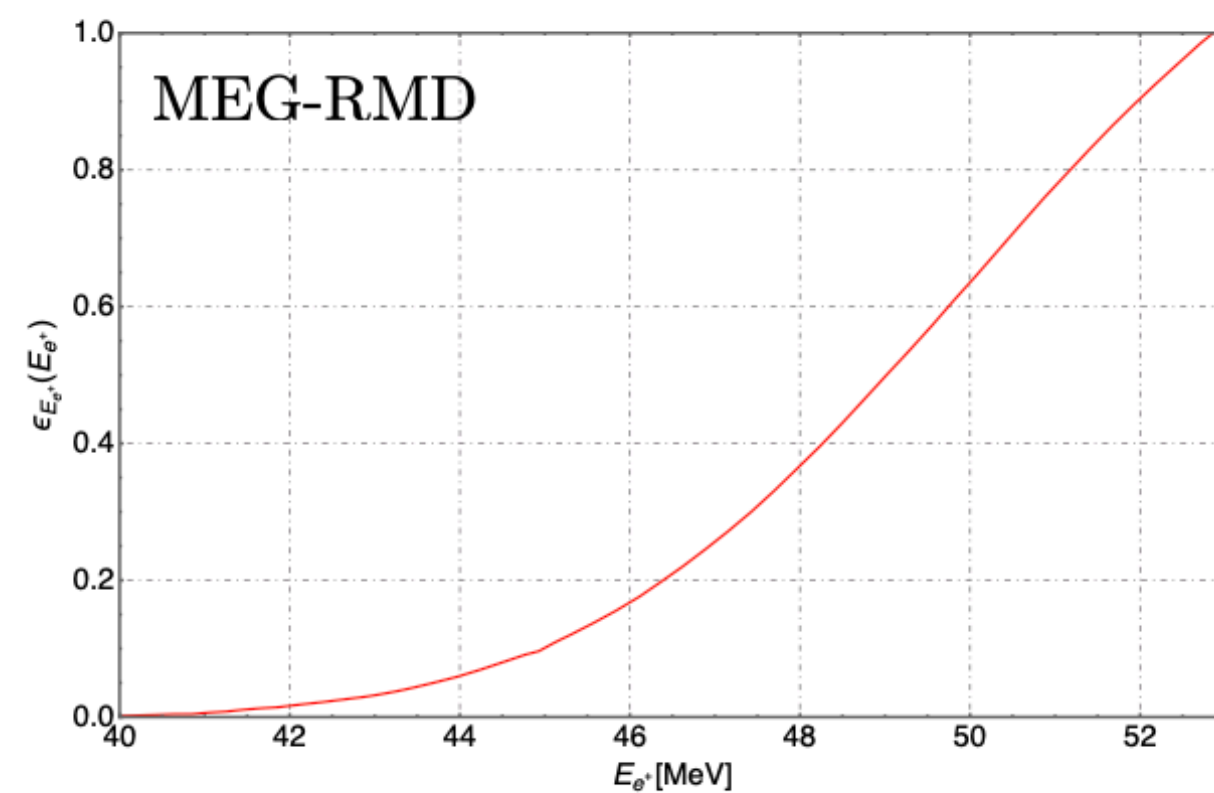
# Trigger Selection

$\text{BR}(\mu \rightarrow e\gamma) < 4.2 \times 10^{-13}$  MEG 2016  $\longleftrightarrow$  1) very high intensity  
 2) very exclusive trigger targeted at  $\mu \rightarrow e\gamma$

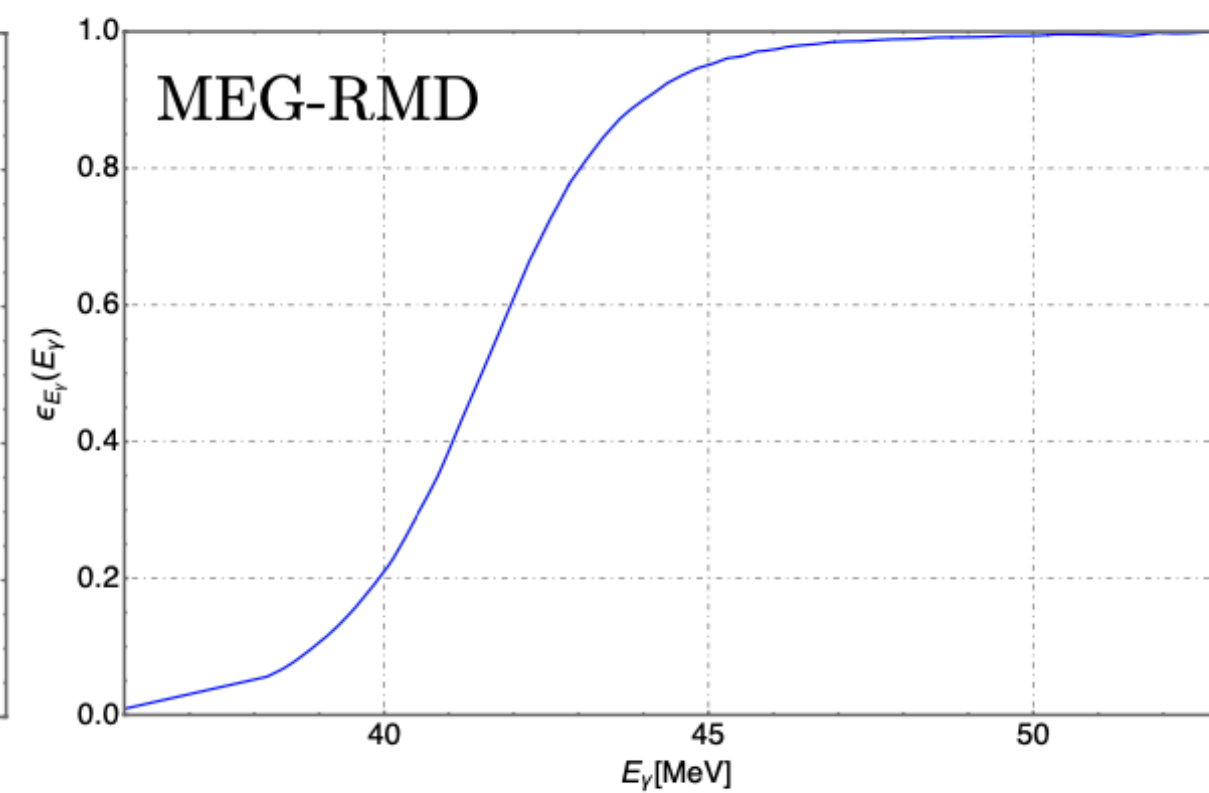
The trigger maximize the efficiency to back to back positron-photon of  $E = m_\mu/2$

See Galli et al. *JINST 9 (2014)*

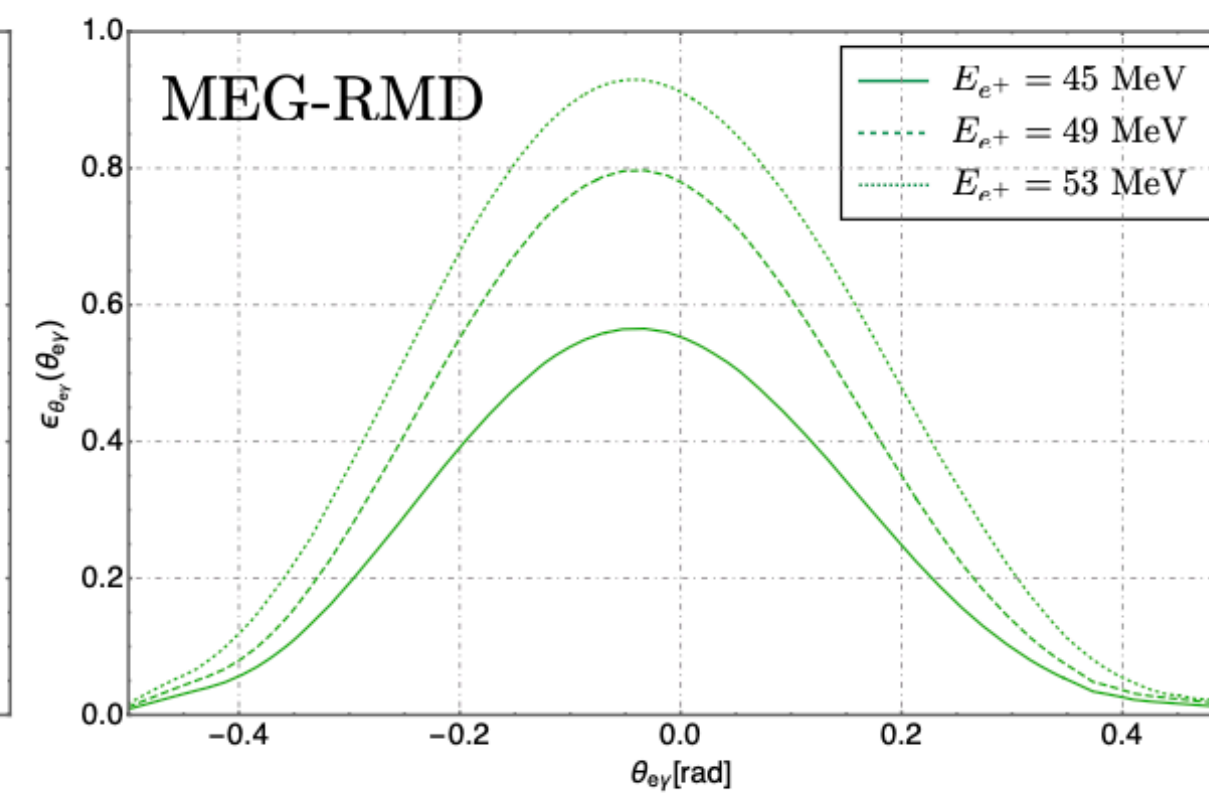
Positron energy >45 MeV hardware



Photon >45 MeV @ trigger level



back to back topology @ trigger level



Taken from *MEG-RMD measurement 1312.3217*



## *In numbers...*

Besides  $R_{\mu^+}^{\text{MEG}} = 3 \times 10^7 \mu^+ / \text{sec}$  intensity

Very little data can be saved on disk or analysed offline at MEG II

The maximal allowed stream is around 10 Hz

Online the trigger should select 1 “interesting” muon event out of  $10^7$

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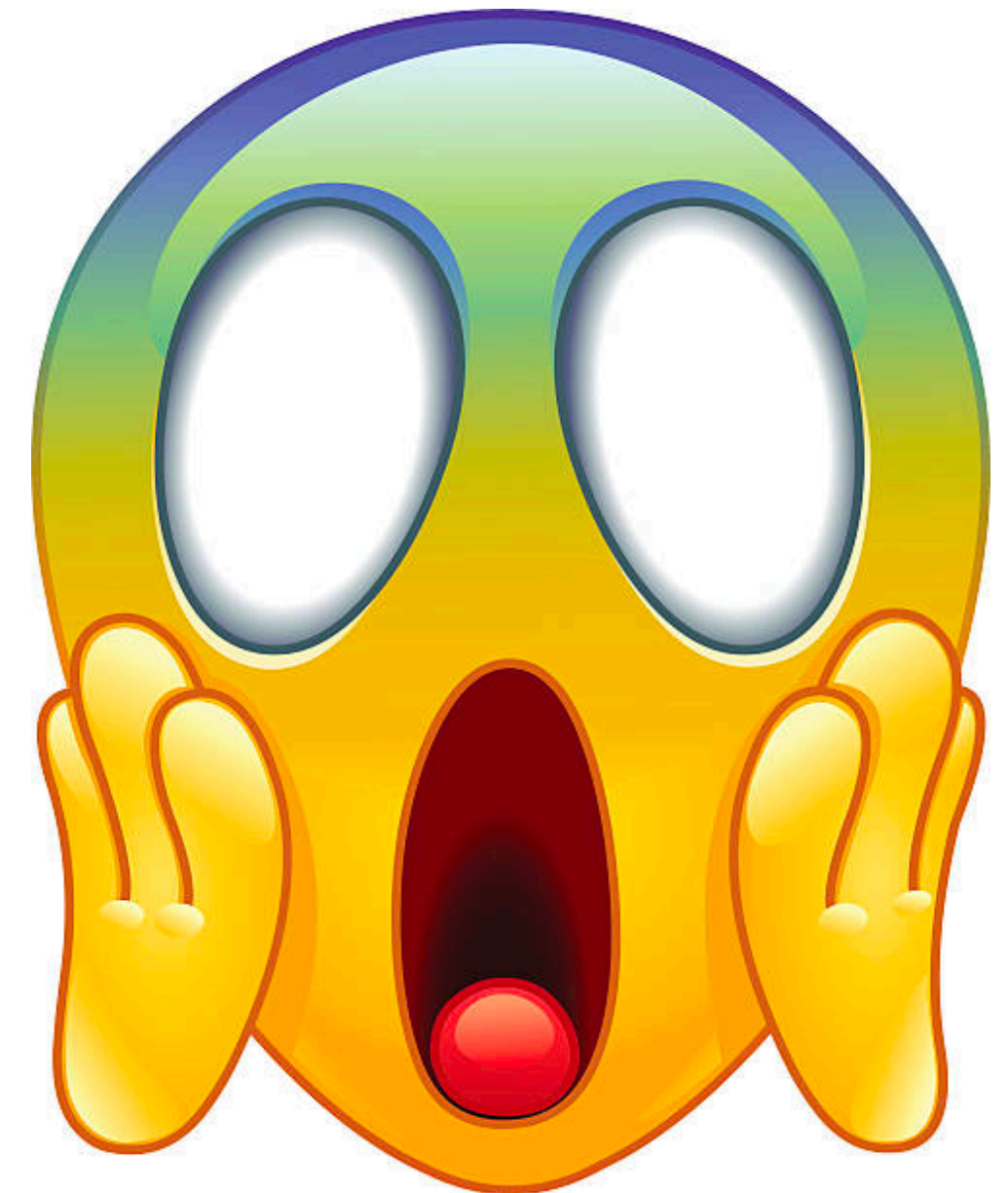
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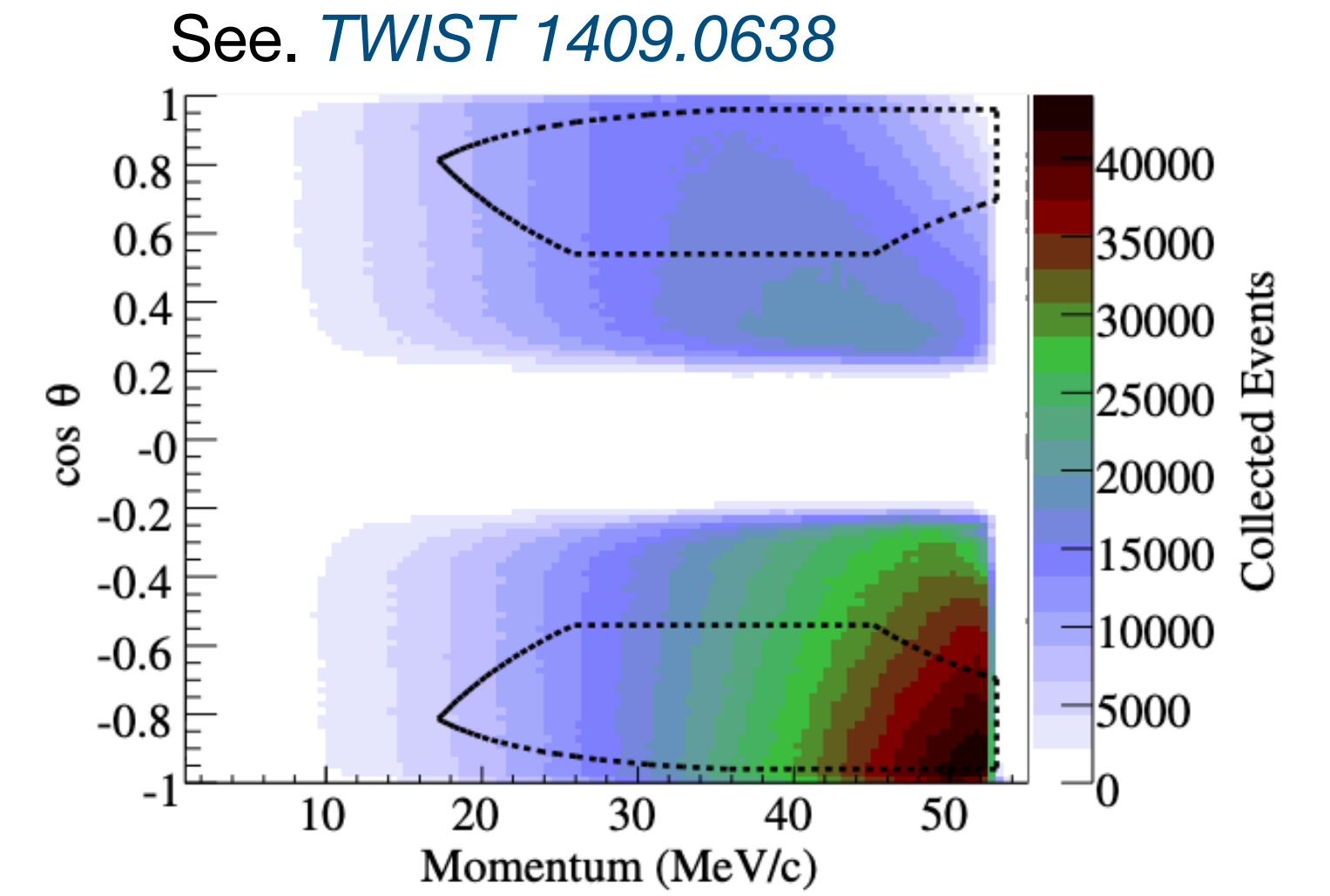
**All the rest of the data is lost!**



# The hunt for rare muon decays with missing energy

$$\mu \rightarrow ea$$

Huge irreducible background from Michel  $\mu \rightarrow e\nu\bar{\nu}$



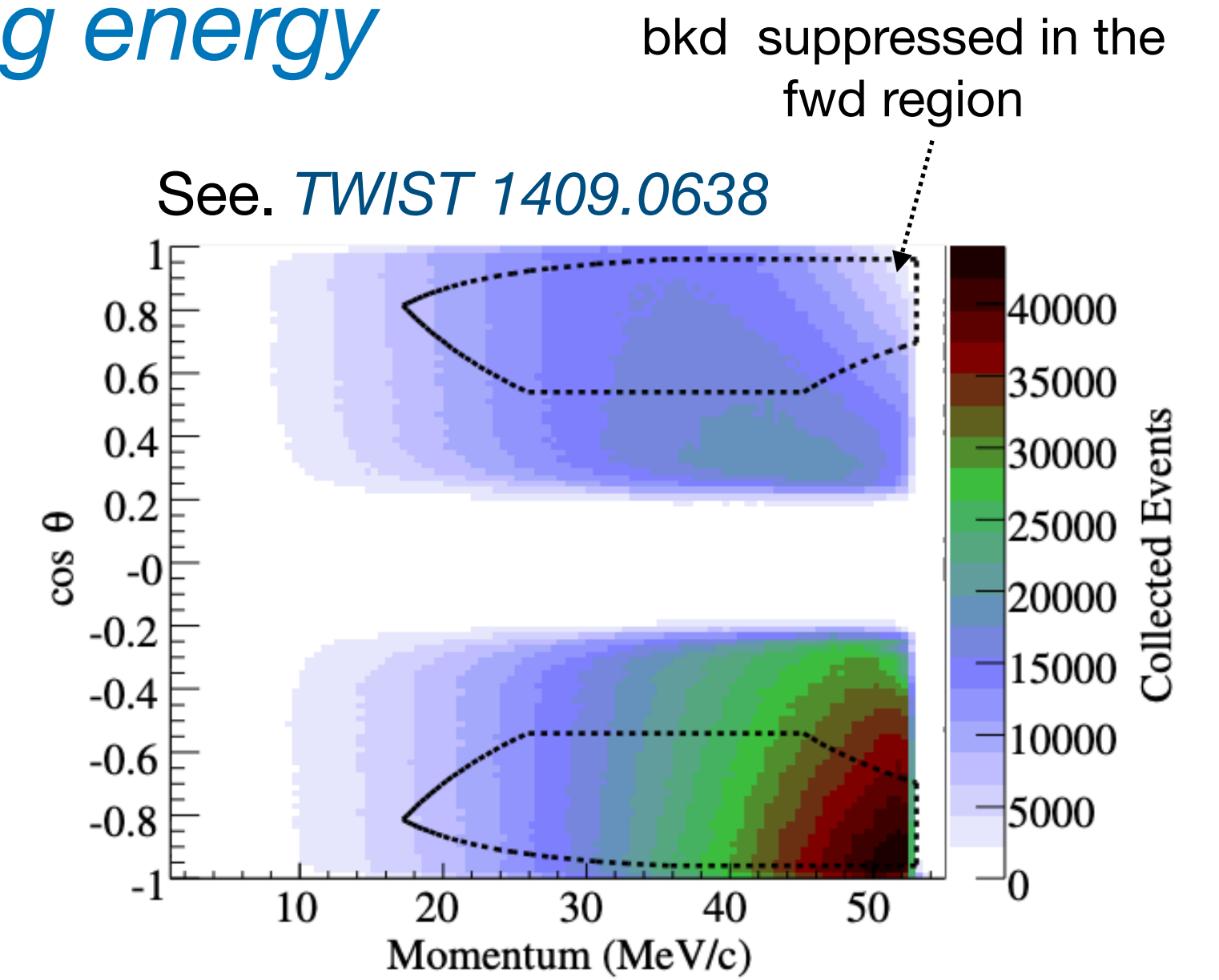
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Muon polarization can help discriminating the signal

See *L. Calibbi, D.R., R. Ziegler, J. Zupan 2006.04795*





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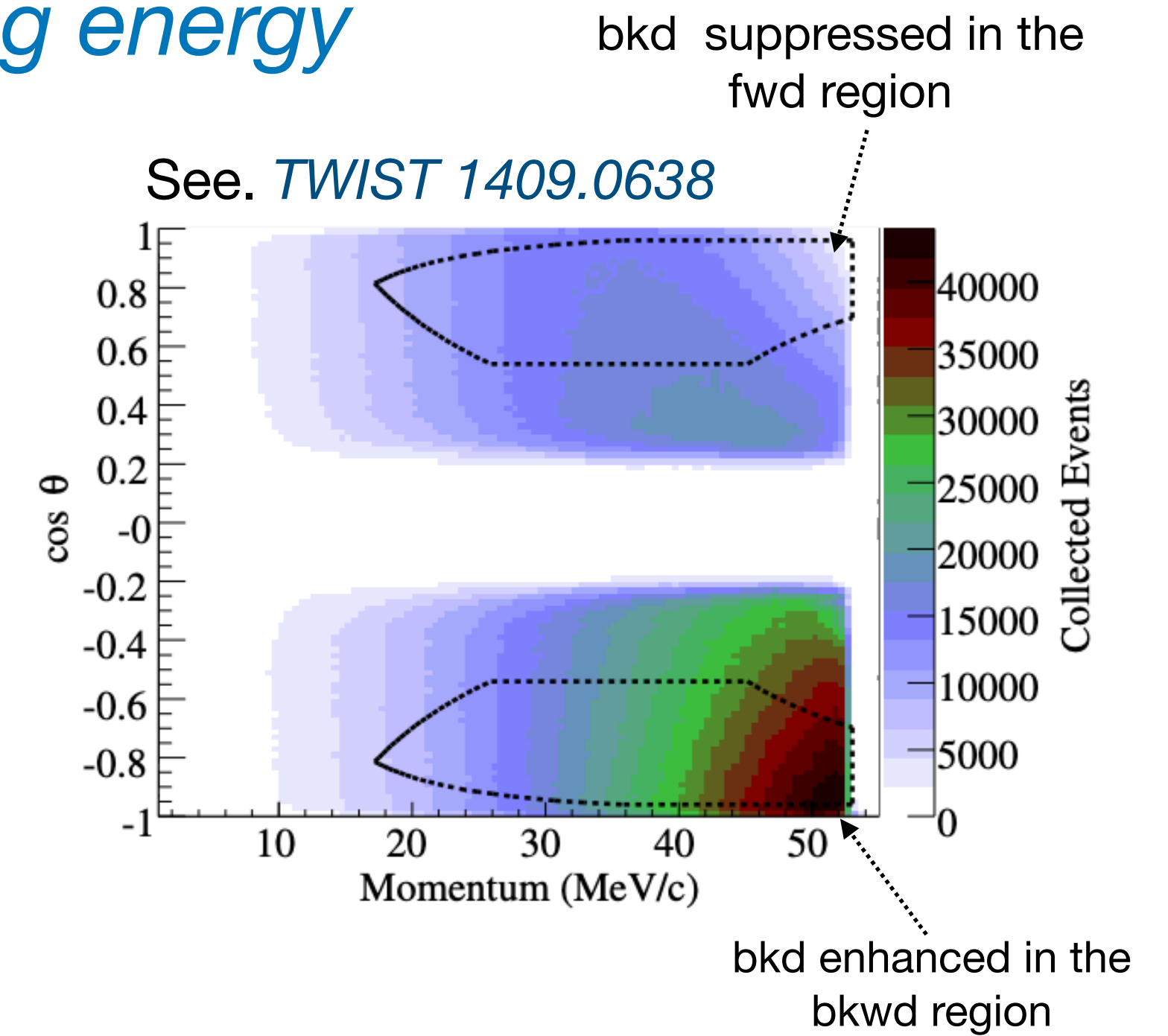
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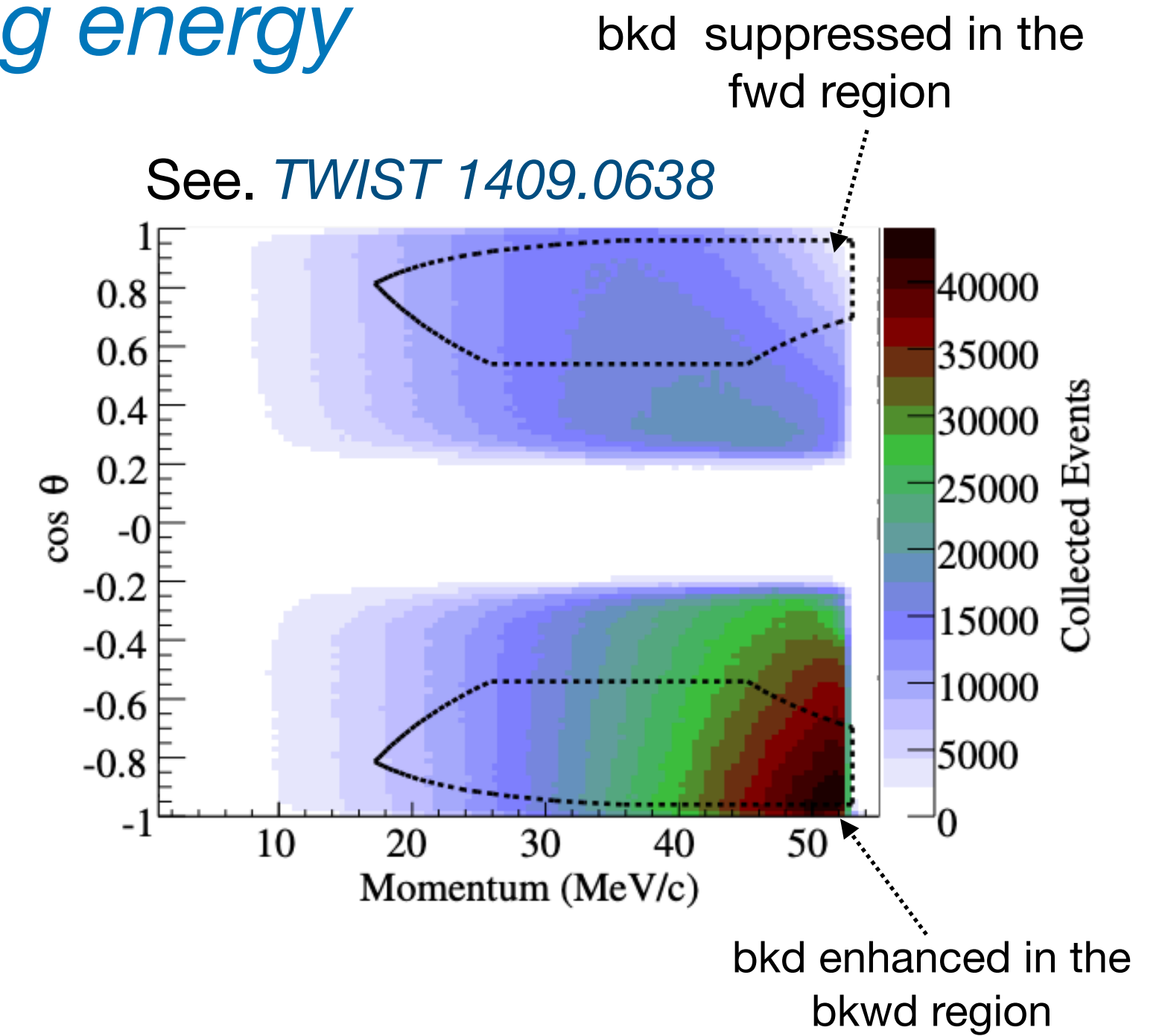
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The extra photon helps constructing a missing mass distribution which is not used for calibration

The price to pay is a reduced signal partially compensated by the low energy threshold of the detector

See *Jho, Knapen, D.R. 2112.07720*



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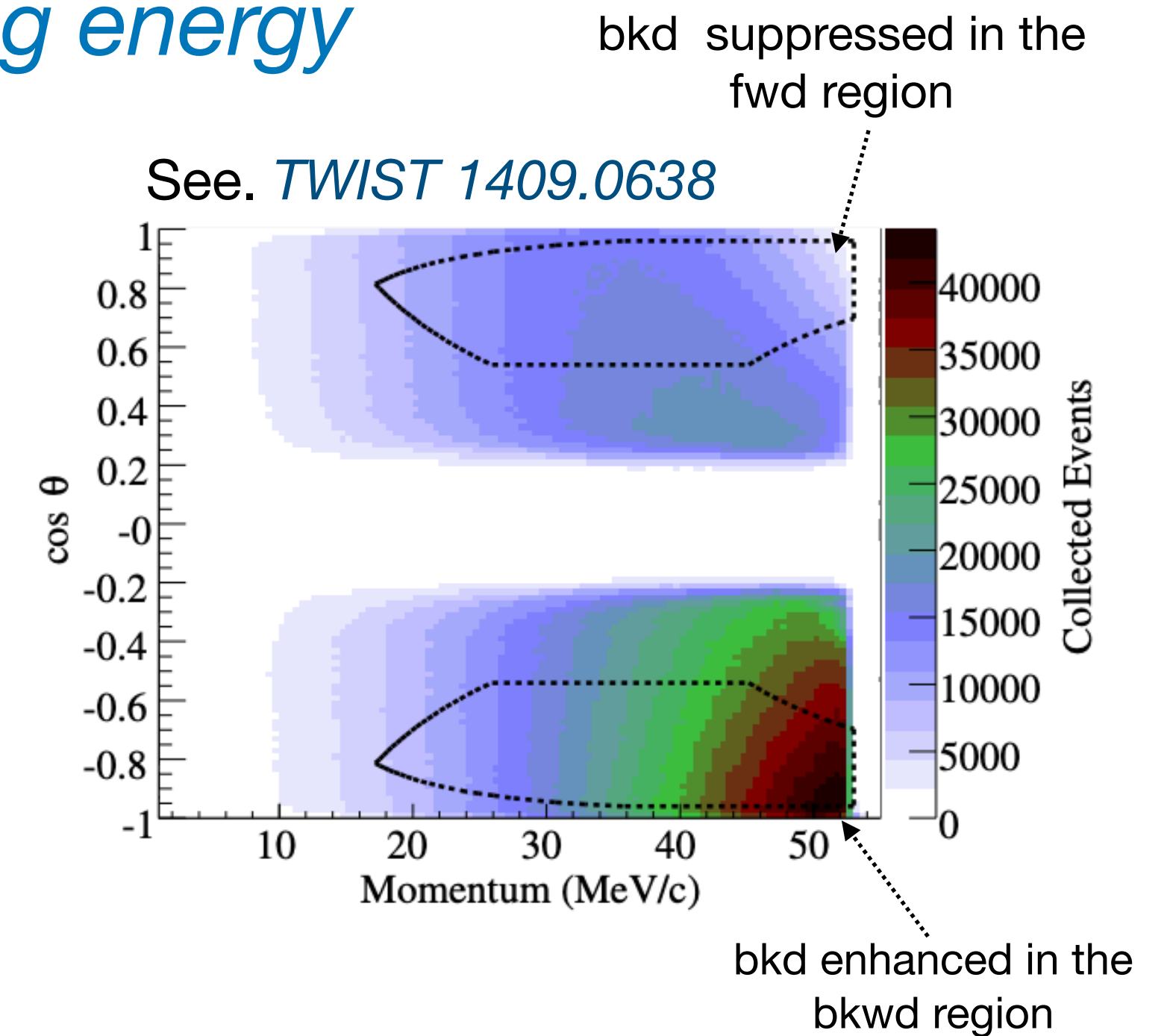
See *Jho, Knapen, D.R. 2112.07720*

$$\mu \rightarrow 3ea$$

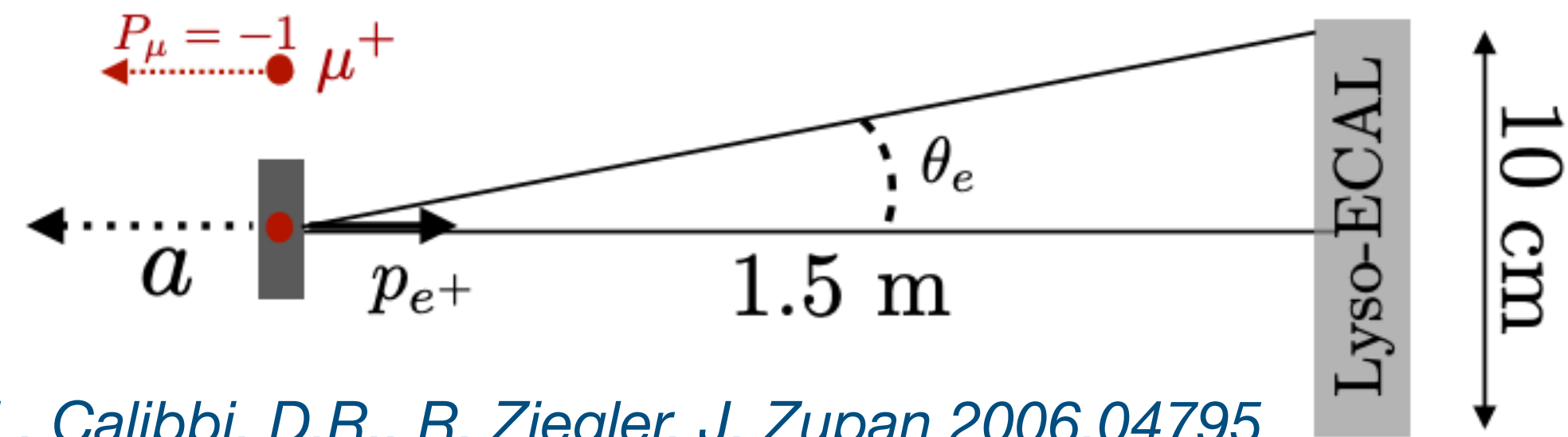
The three electron final state can be seen easily at Mu3e (which hunts for three tracks)

The price to pay is a reduced signal which partially compensated by the low virtuality of the photon

See *Knapen, Langhoff, Opferkuch, D.R., 2311.17915*

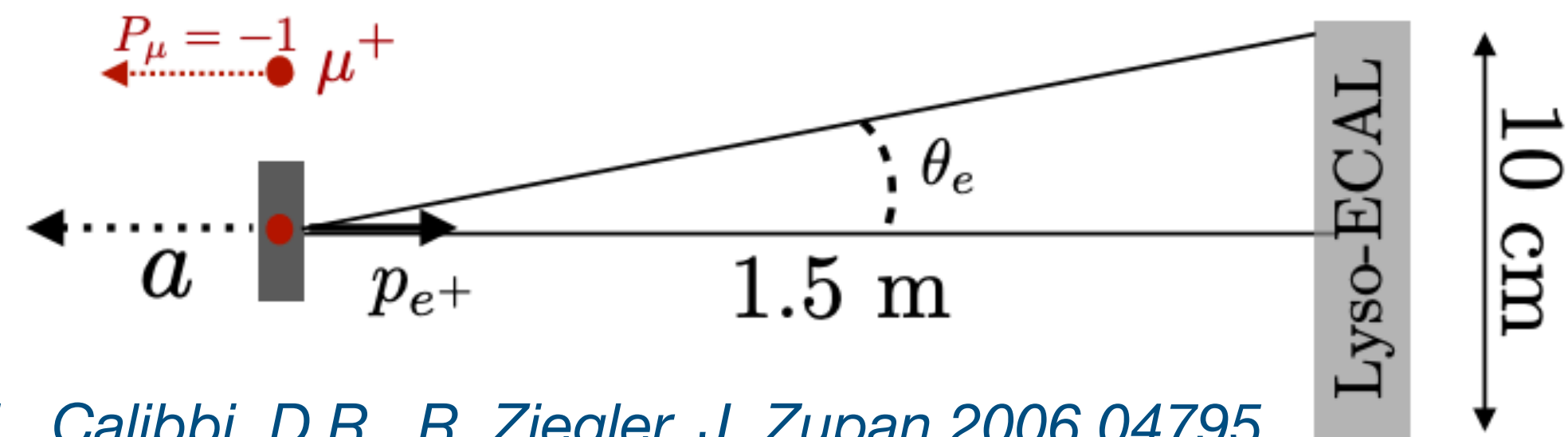


# Looking forward for right-handed ALPs



*L. Calibbi, D.R., R. Ziegler, J. Zupan 2006.04795*

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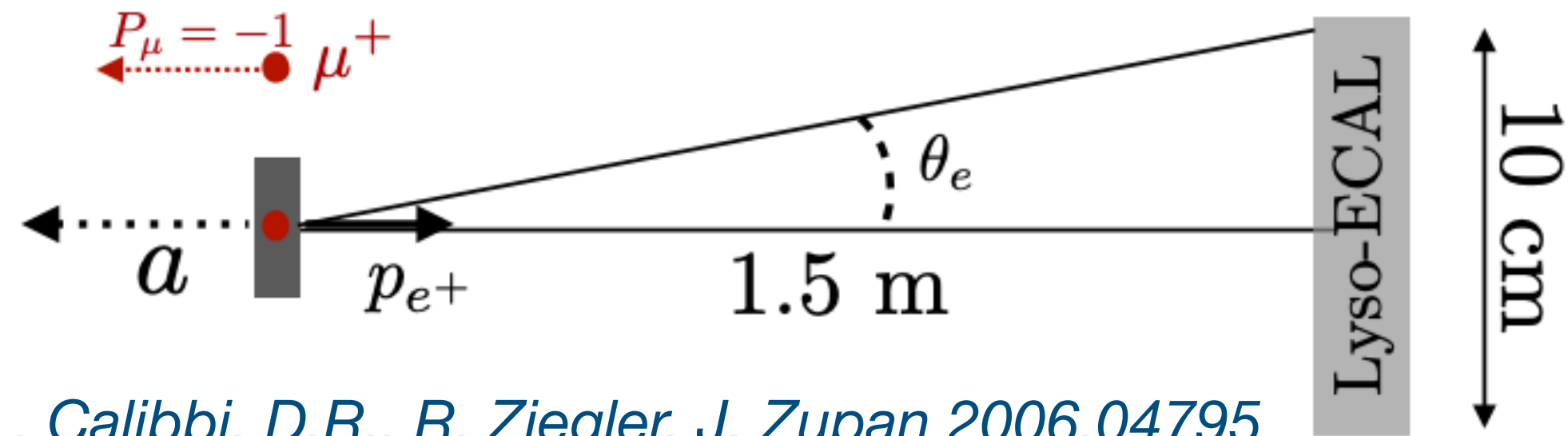


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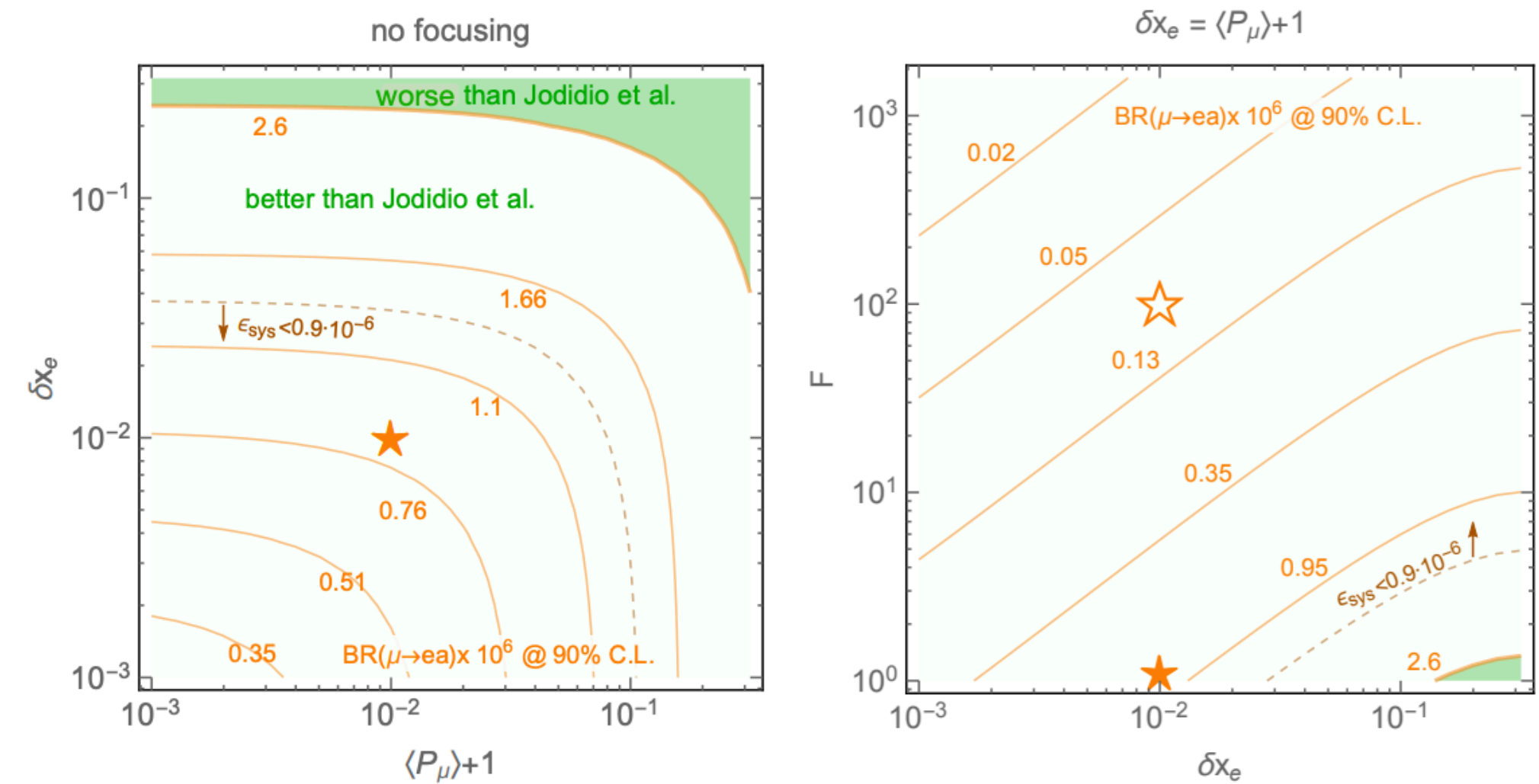
Background suppression in the fwd direction requires:  $\left\{ \begin{array}{l} 1) \text{ good momentum resolution } \delta x_e \sim \% \\ 2) \text{ purely polarized muon beam } \delta P_\mu \sim 10^{-2} \end{array} \right.$



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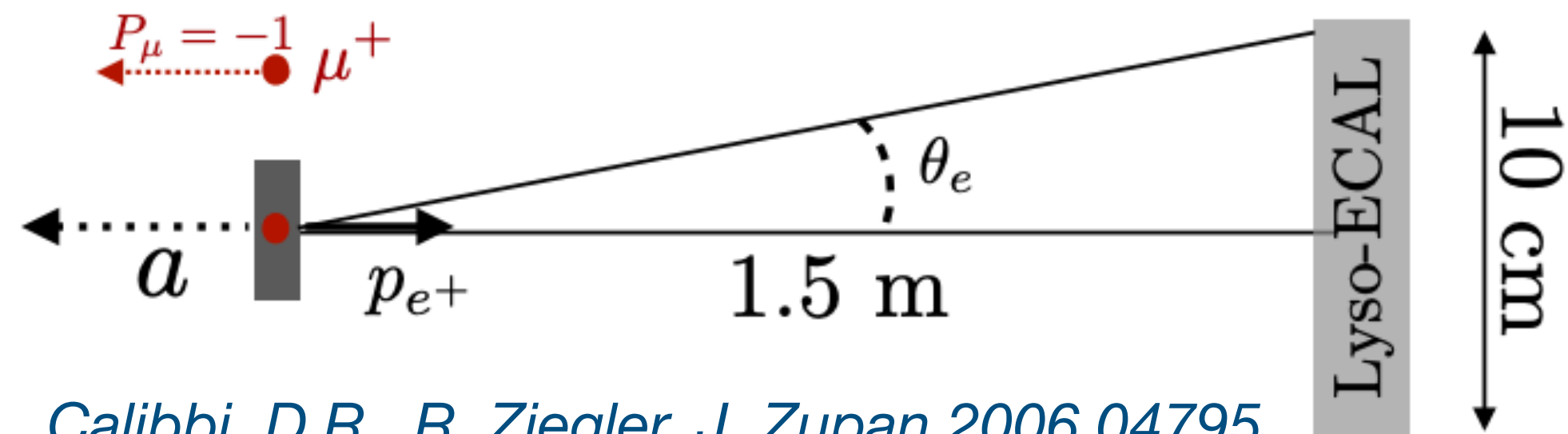
L. Calibbi, D.R., R. Ziegler, J. Zupan 2006.04795



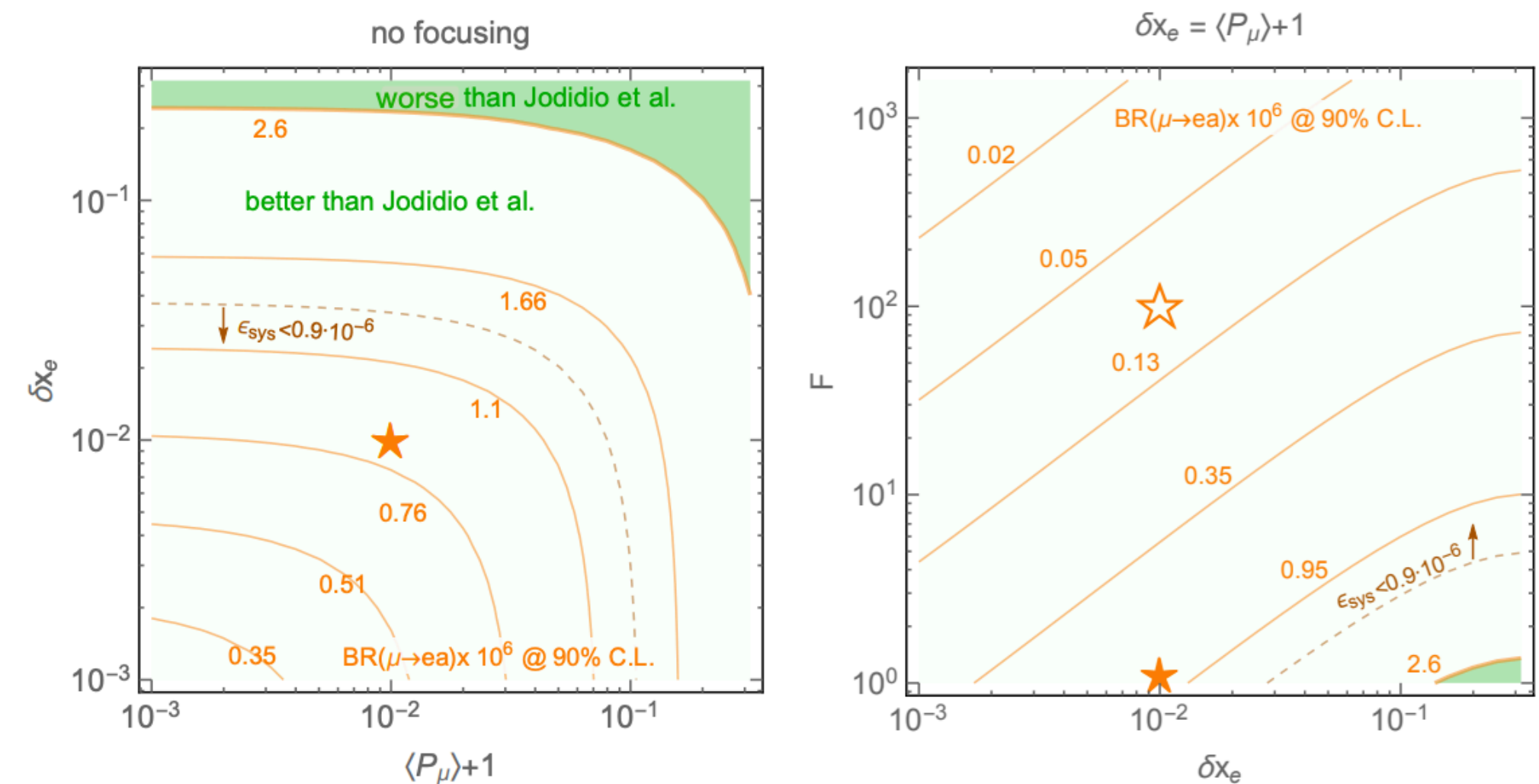
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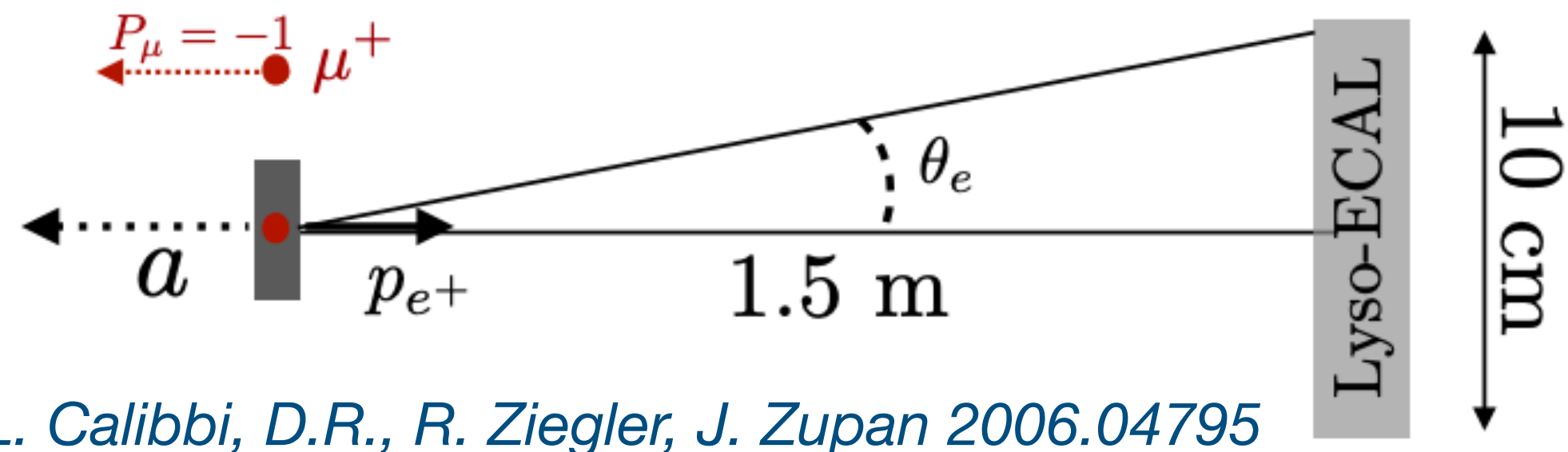


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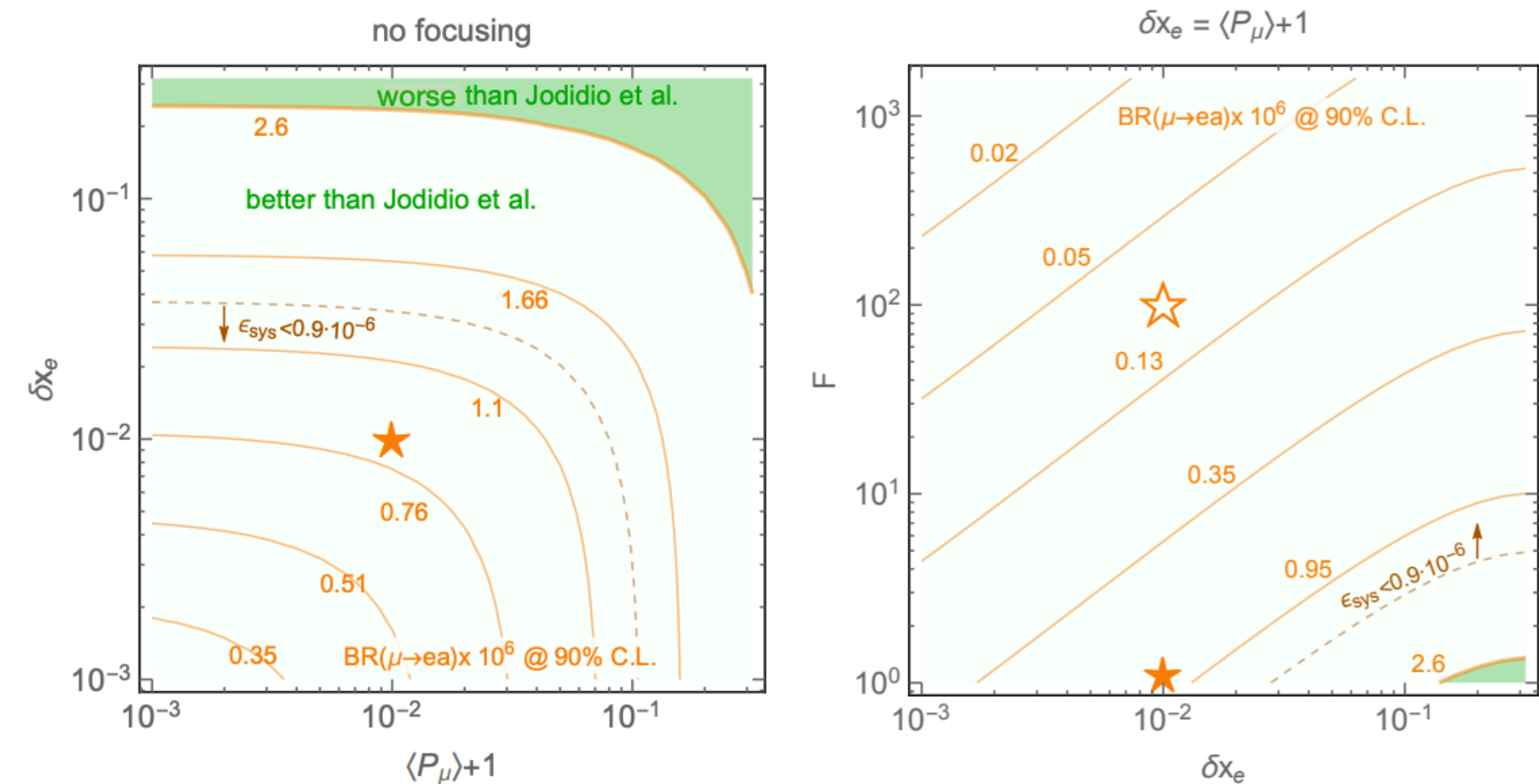


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- A good signal reach requires further:
- 3) magnetic field focusing  $F \sim 10^2$
  - 4) large luminosity  $N_\mu \sim 10^{14} \mu^+$
  - 5) very low systematics

# Looking forward for right-handed ALPs



L. Calibbi, D.R., R. Ziegler, J. Zupan 2006.04795



- Background suppression in the fwd direction requires:
- 1) good momentum resolution  $\delta x_e \sim \%$
  - 2) purely polarized muon beam  $\delta P_\mu \sim 10^{-2}$
- A good signal reach requires further:
- 3) magnetic field focusing  $F \sim 10^2$
  - 4) large luminosity  $N_\mu \sim 10^{14} \mu^+$
  - 5) very low systematics

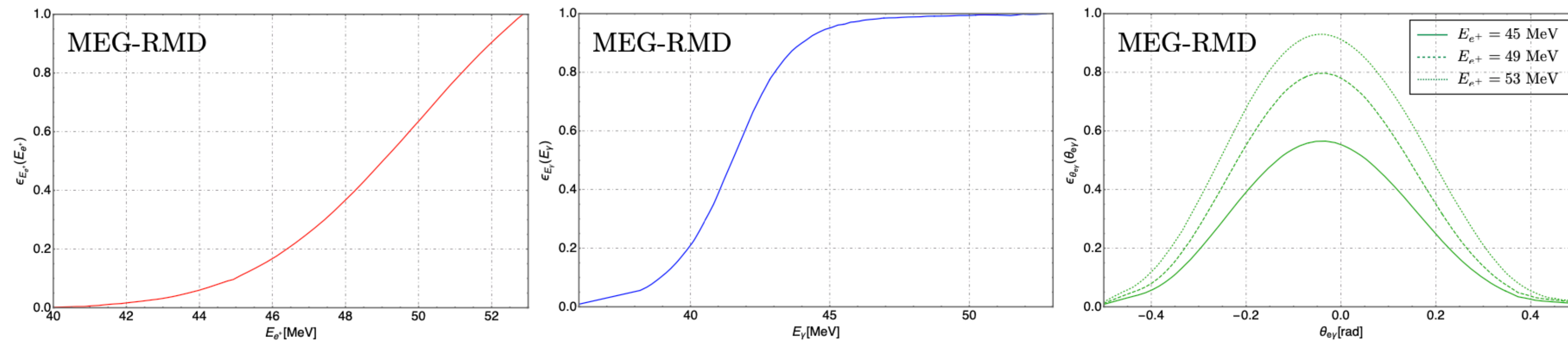
These conditions have been realized before in the Jodidio's exp.

Jodidio et al. (1986)

**Can it be done again?**

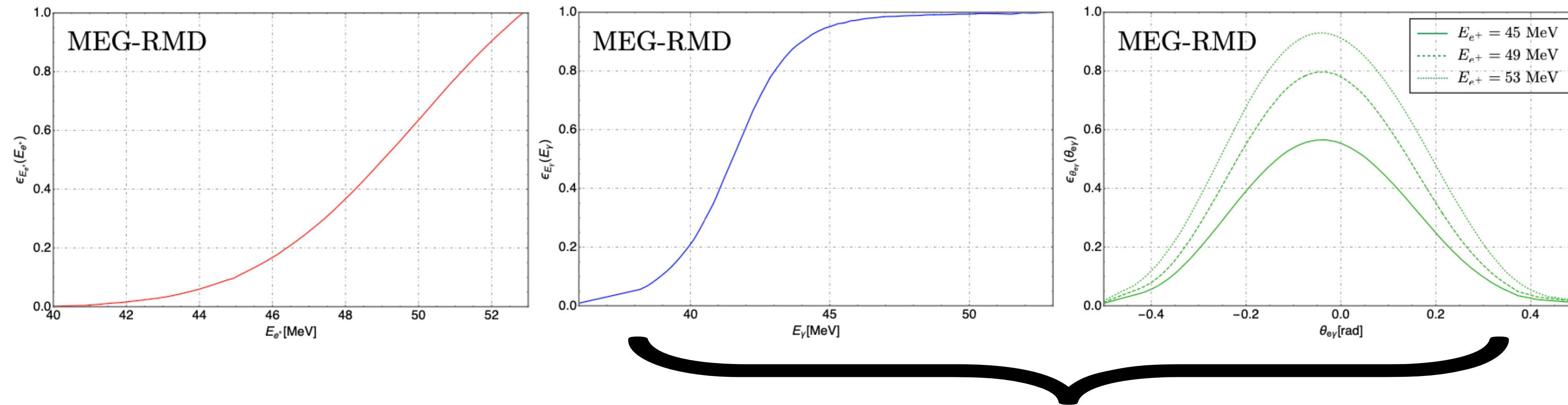
# Towards a new data taking strategy

Logic: the trigger requirements are killing the ALP signal



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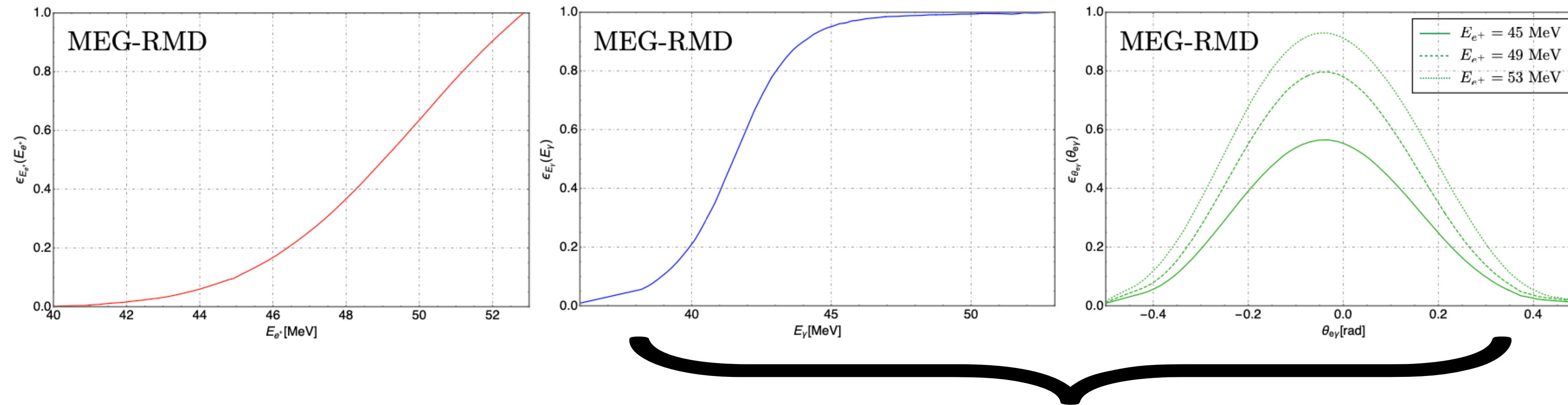


- 1) Eliminating the matching of the TC hit which assumes back to back topology
- 2) Lowering the photon trigger threshold reducing the beam intensity



# Towards a new data taking strategy

Logic: the trigger requirements are killing the ALP signal



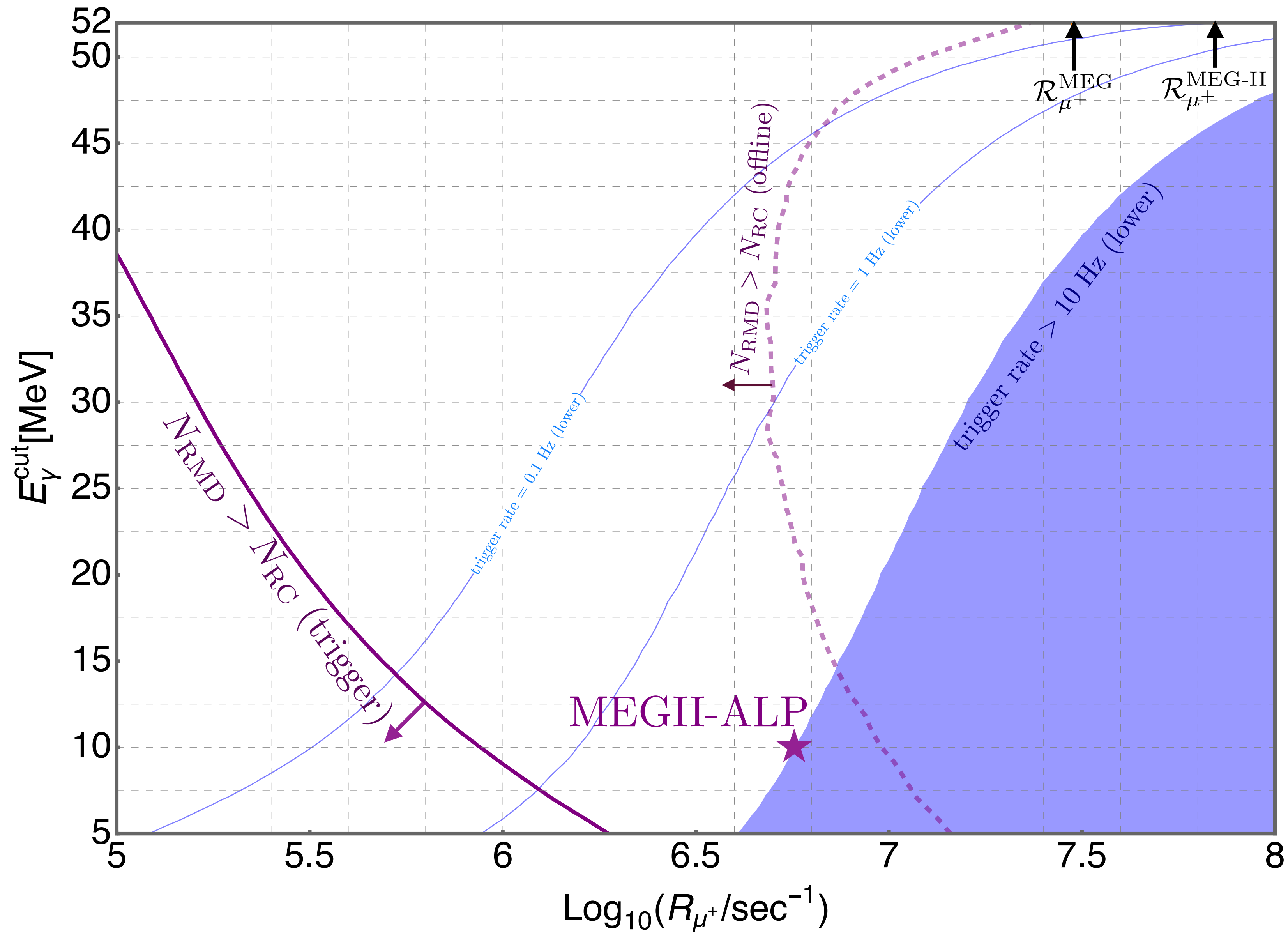
- 1) Eliminating the matching of the TC hit which assumes back to back topology
- 2) Lowering the photon trigger threshold reducing the beam intensity

The RC dominates the trigger rate but it can be suppressed by reducing the intensity

$$\text{RC} \sim R_\mu^2 \quad \text{RMD} \sim R_\mu$$

*\*many thanks to Luca Galli for teaching us all this!*

# Towards a new data taking strategy



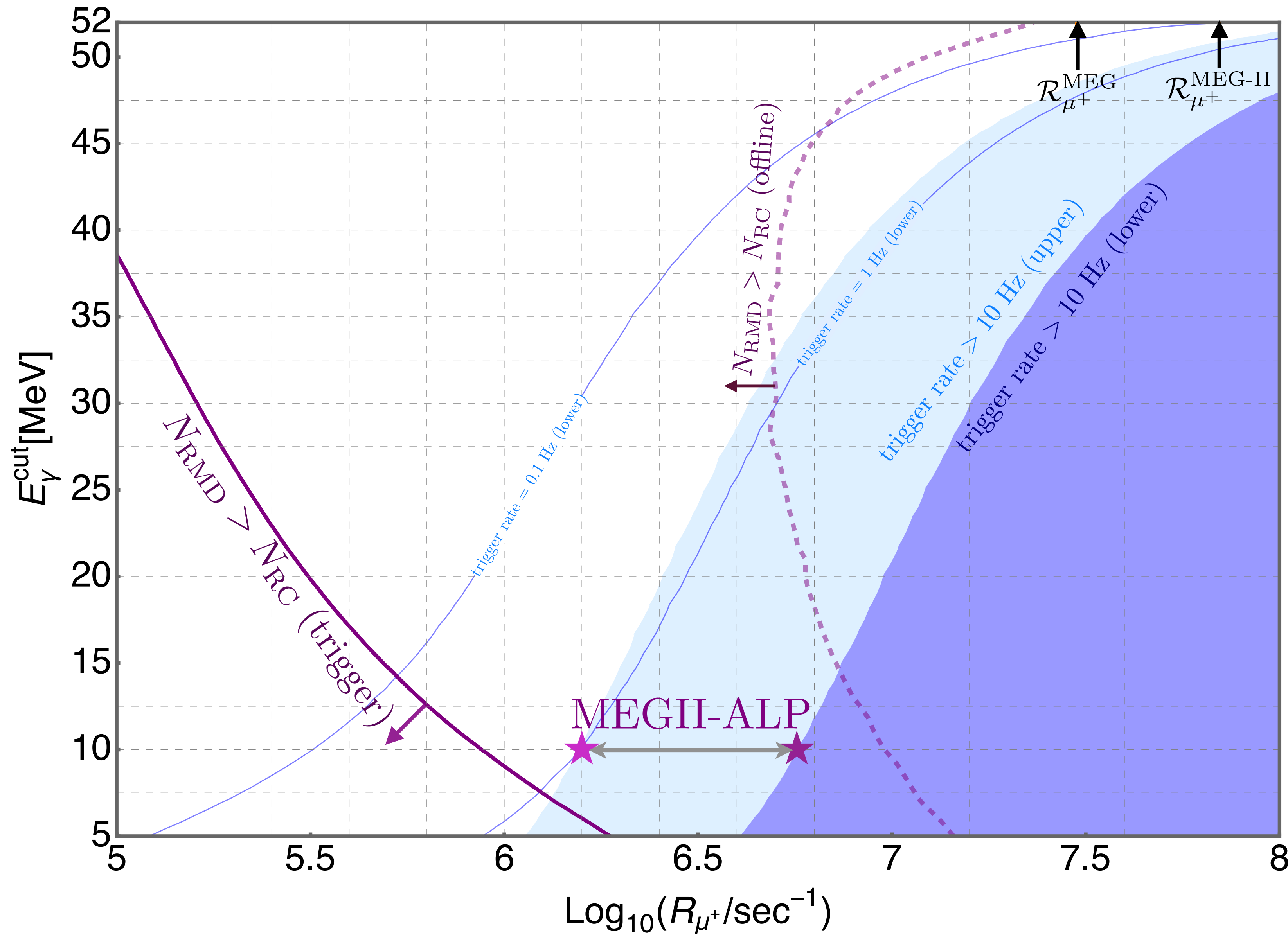
Max trigger rate 10 Hz

fixes the intensity vs photon cut

RMD becomes the dominant bed  
below a certain intensity  
(harder to suppress RMD online)

★  
Benchmark fixed to the highest intensity  
for photon energy of 10 MeV given our  
estimate of the trigger rate

# Towards a new data taking strategy



Max trigger rate 10 Hz

fixes the intensity vs photon cut

RMD becomes the dominant bed

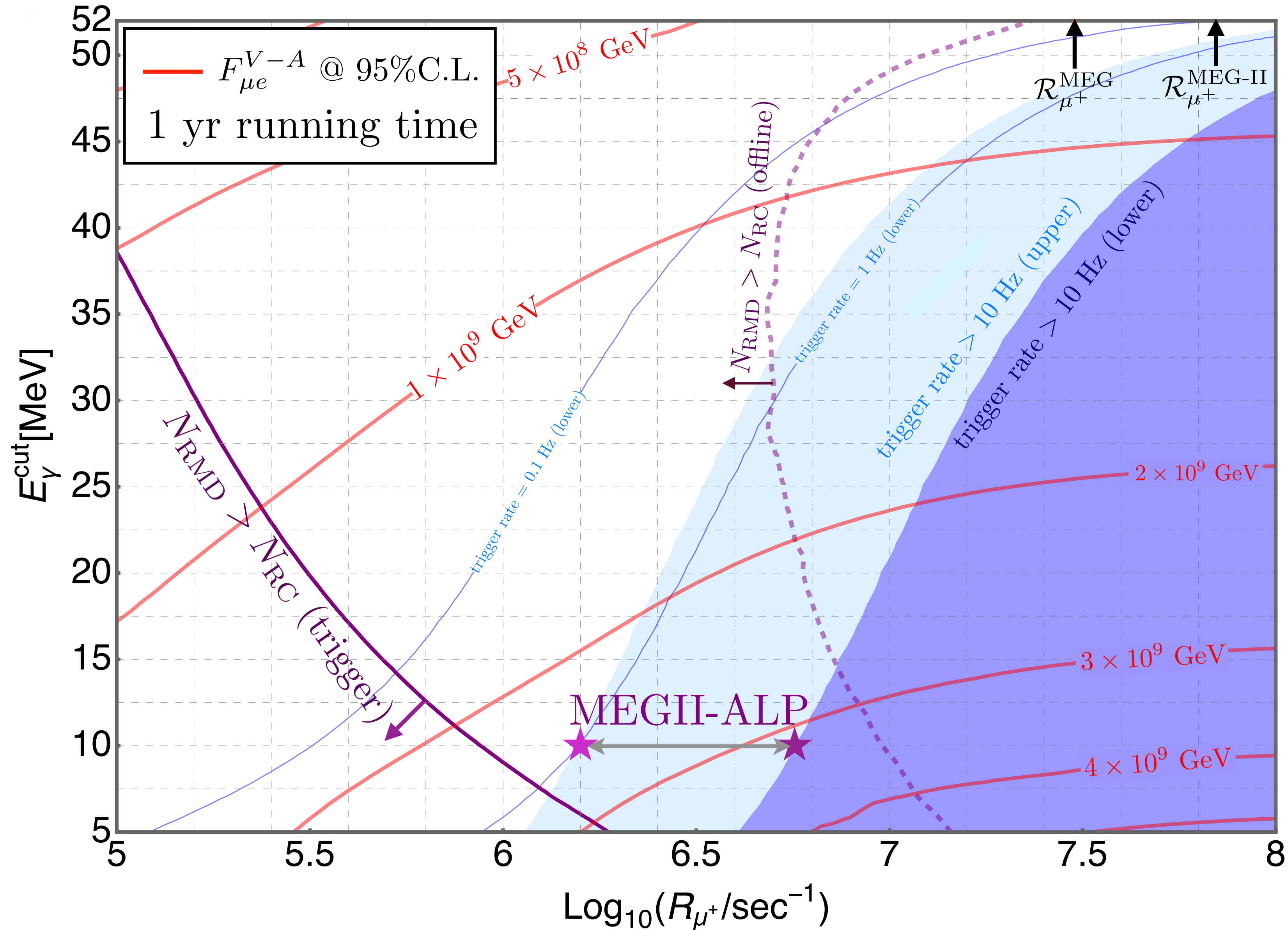
below a certain intensity

(harder to suppress RMD online)



Uncertainty in trigger rate results in two different benchmark for the same photon energy

# Towards a new data taking strategy



Max trigger rate 10 Hz

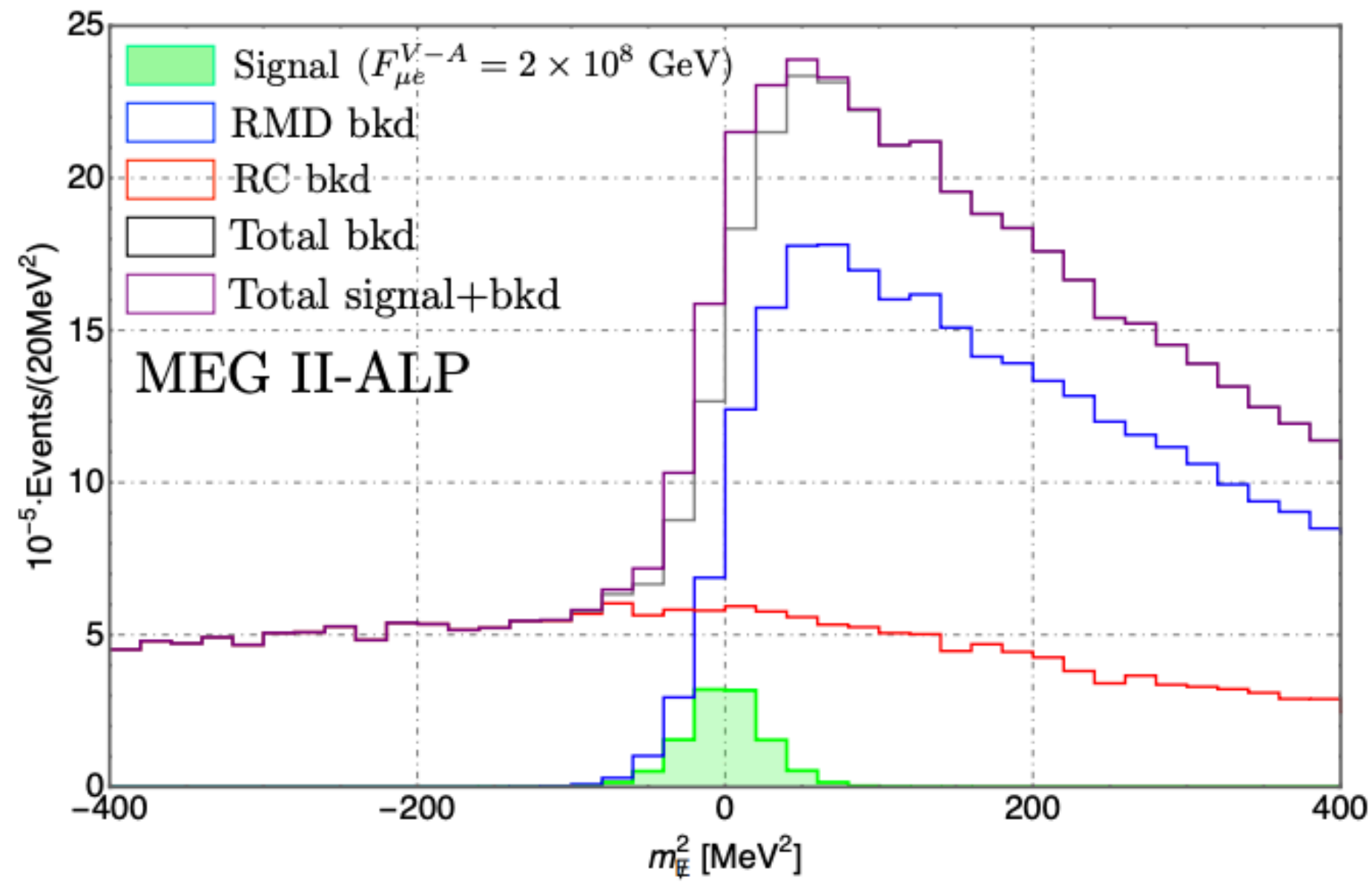
fixes the intensity vs photon cut

RMD becomes the dominant bkd  
 below a certain intensity  
 (harder to suppress RMD online)

Reach extracted at each point!

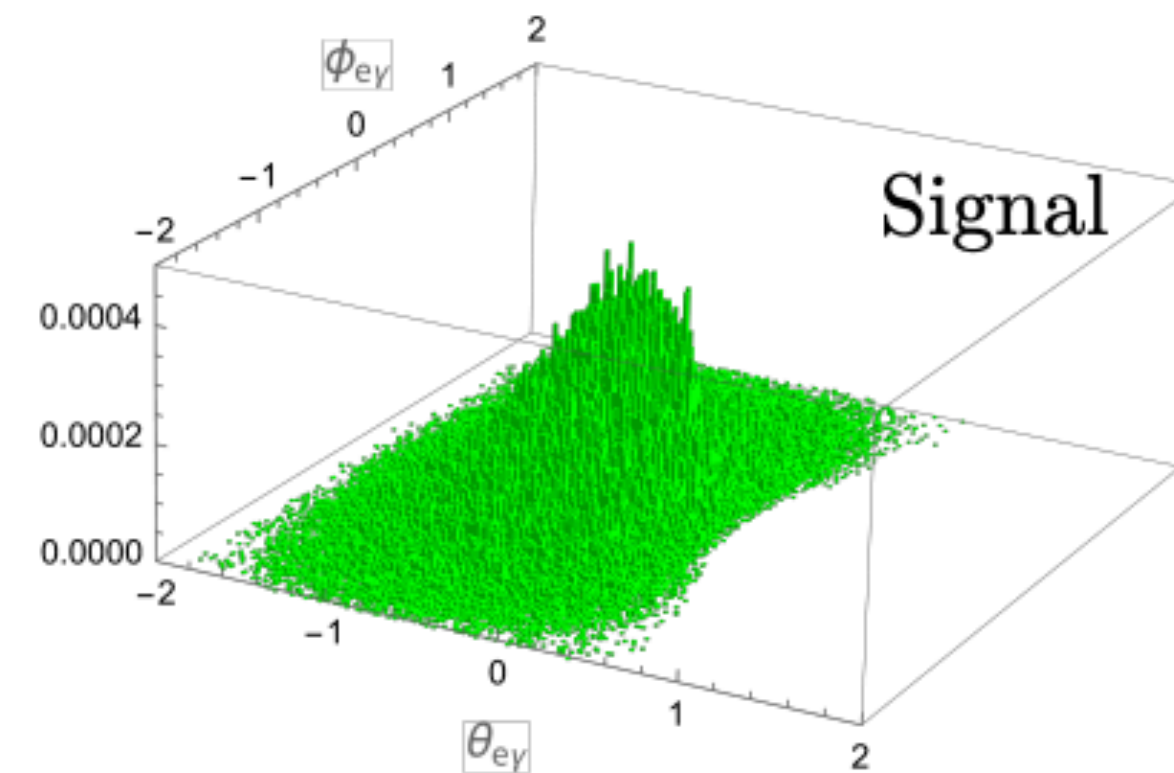
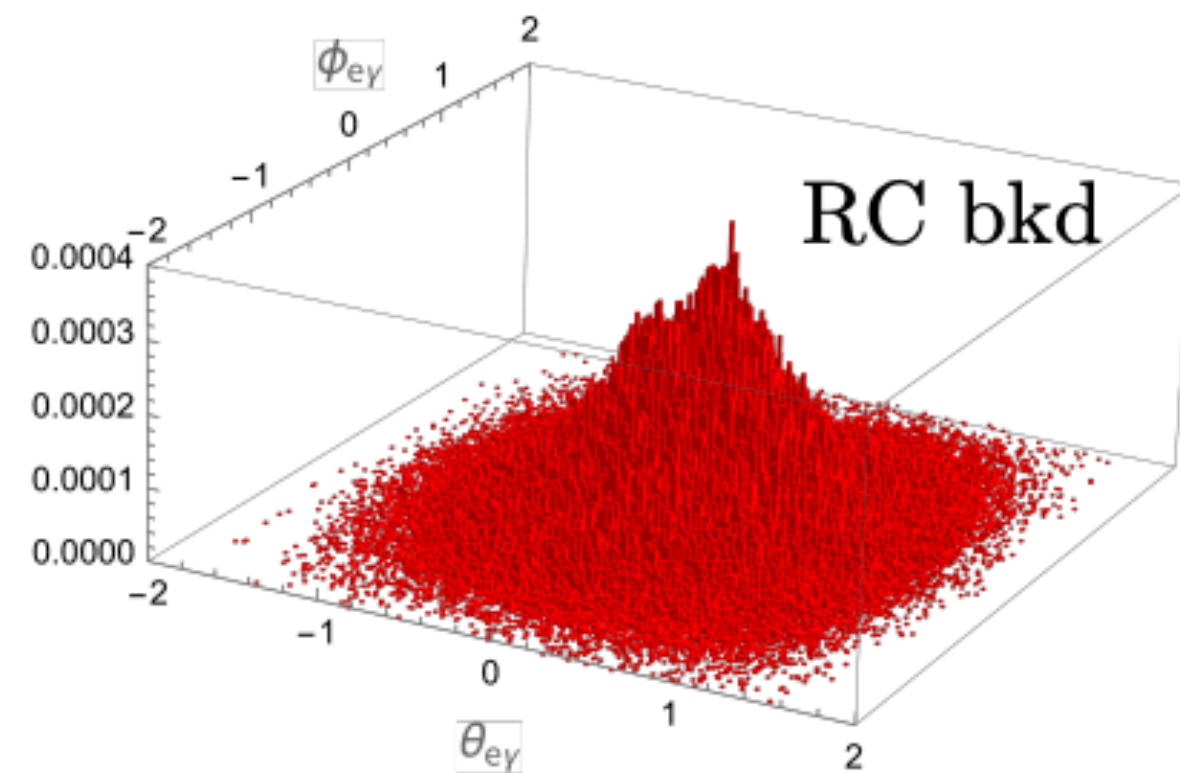
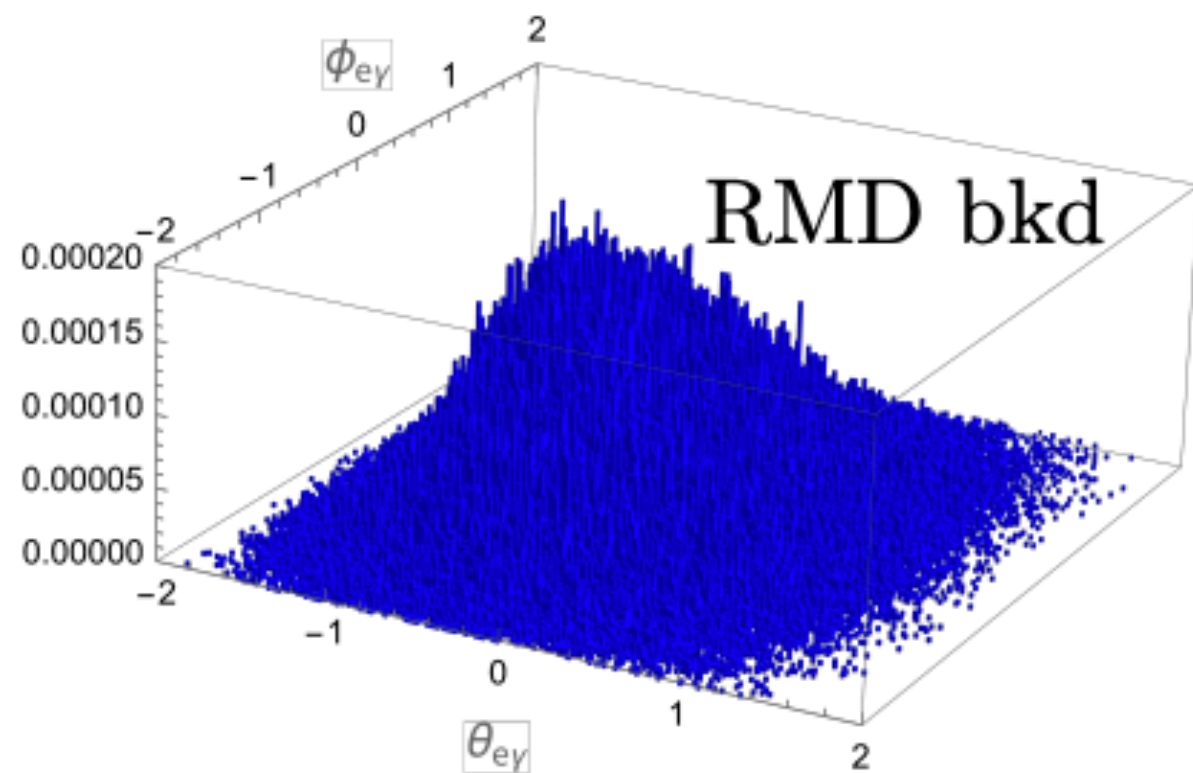


# Final reach



Bump hunt in missing mass\*

\*for a massless object we are close to a cliff of the bkd (systematics has to be taken into account)

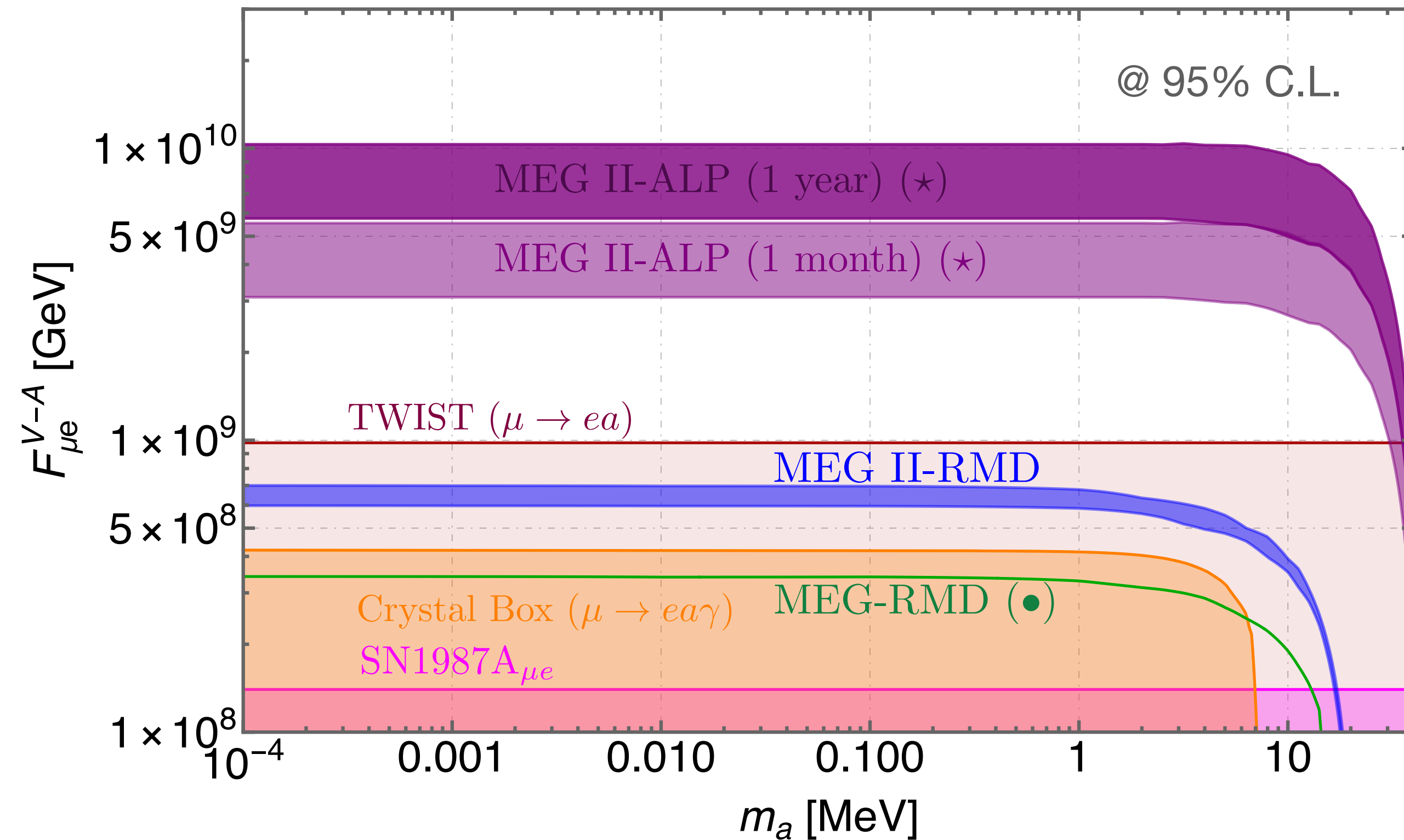


Log-likelihood on angular variables



# What can we test?

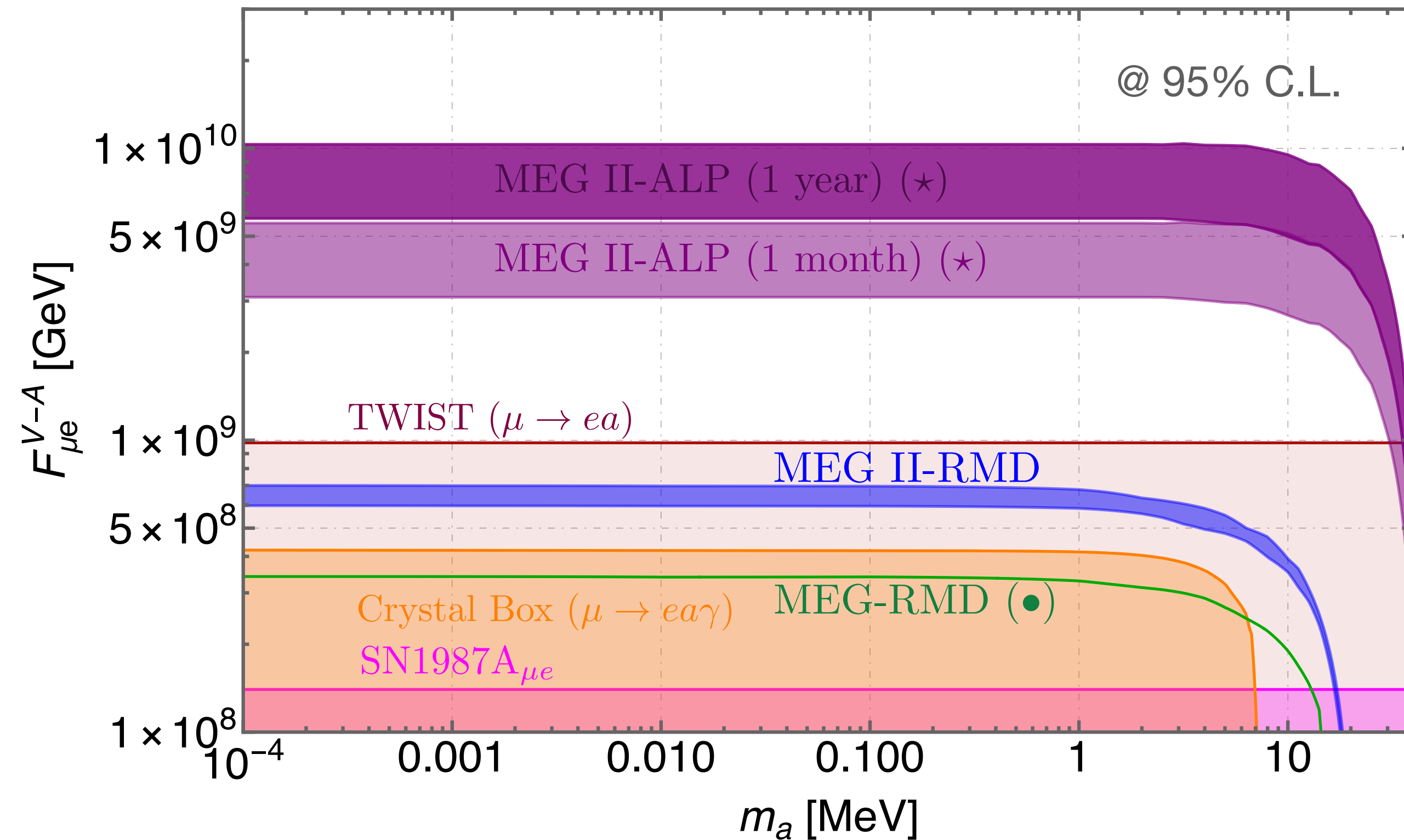
Jho, Knapen, D.R. 2112.07720



*MEG-II ALP is the best way to explore ~ a decade of unconstrained parameter space ~ NOW*

# What can we test?

Jho, Knapen, D.R. 2112.07720

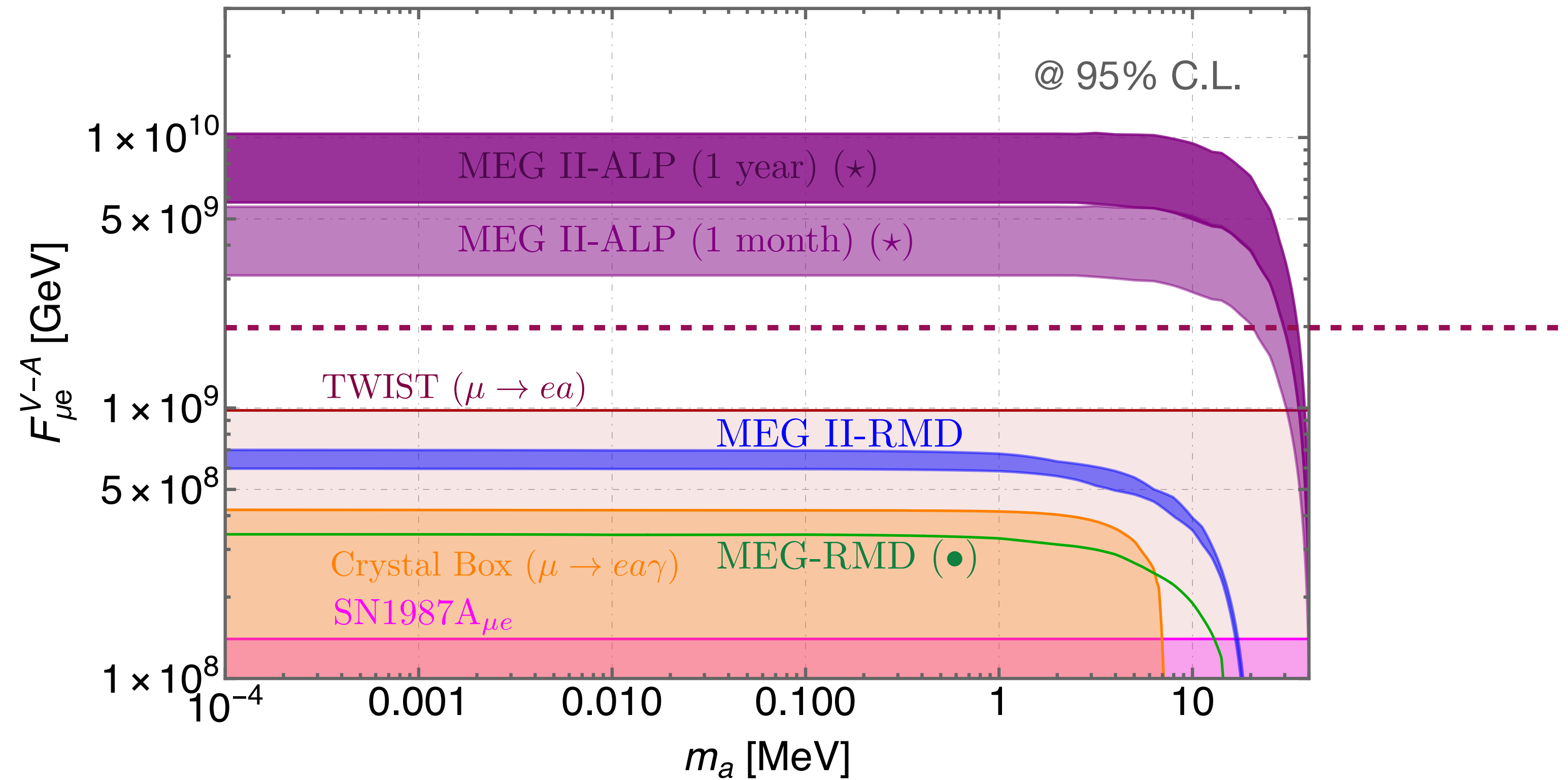


MEG II-ALP can improve  
on TWIST with only  
1 month of data taking\*

*MEG-II ALP is the best way to explore ~ a decade of  
unconstrained parameter space ~ NOW*

# MEG II RMD data...

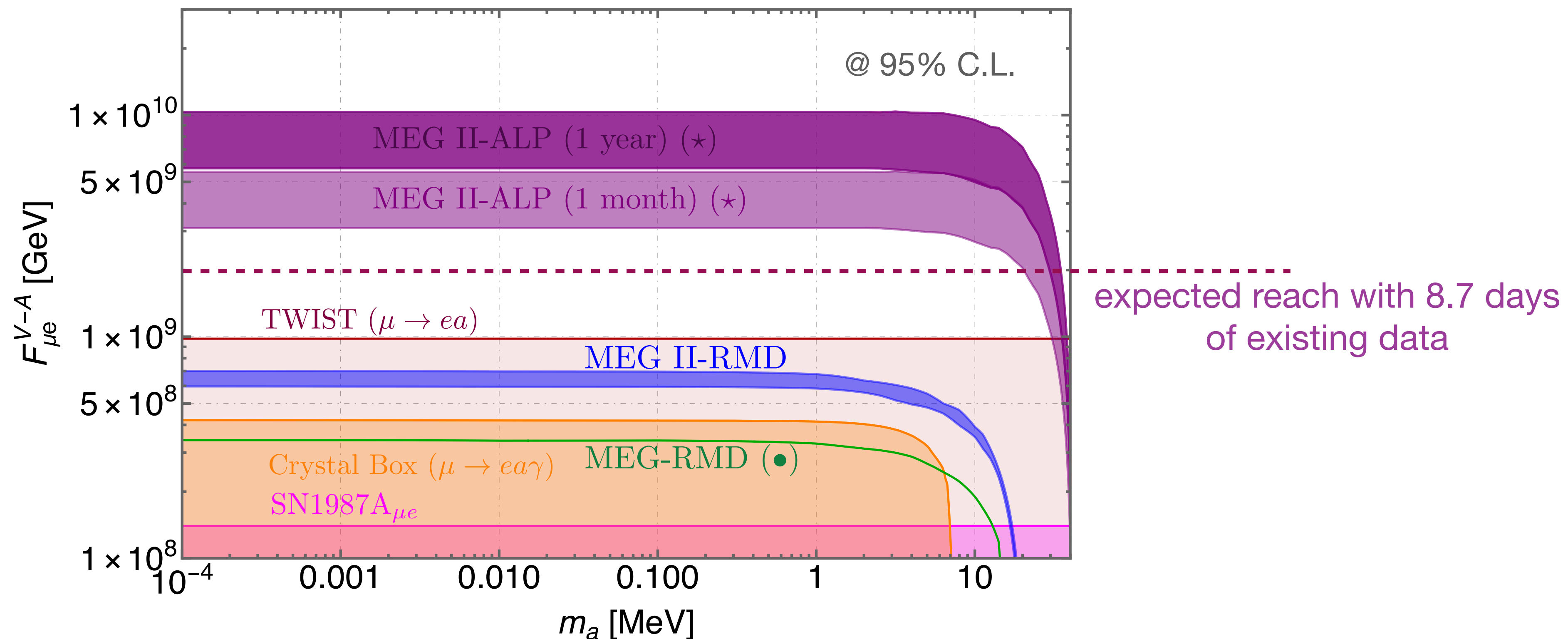
see talk by Elia Gilio Grandoni at WIFAI 2024



*MEG-II wil get some new results very soon*

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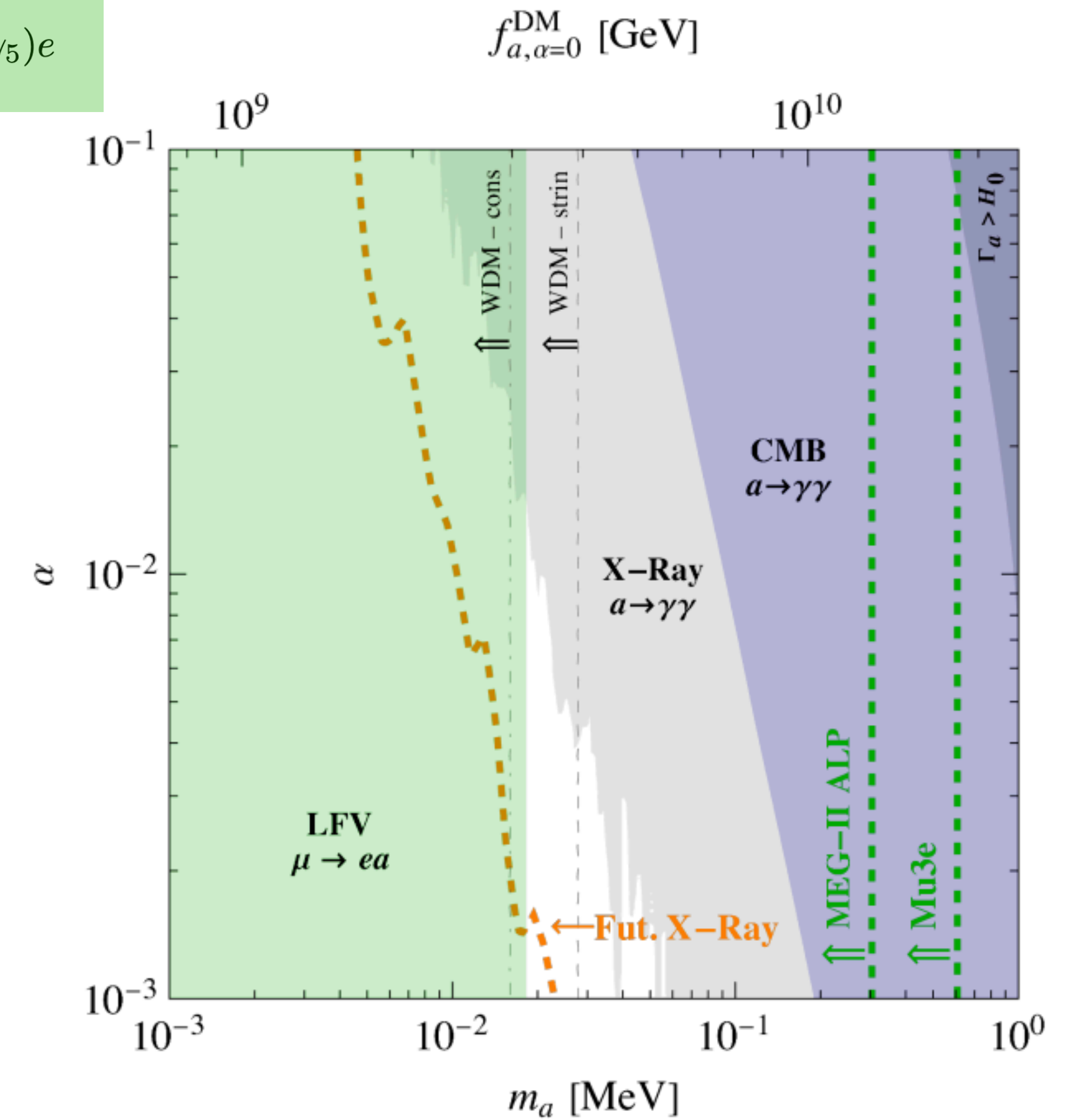
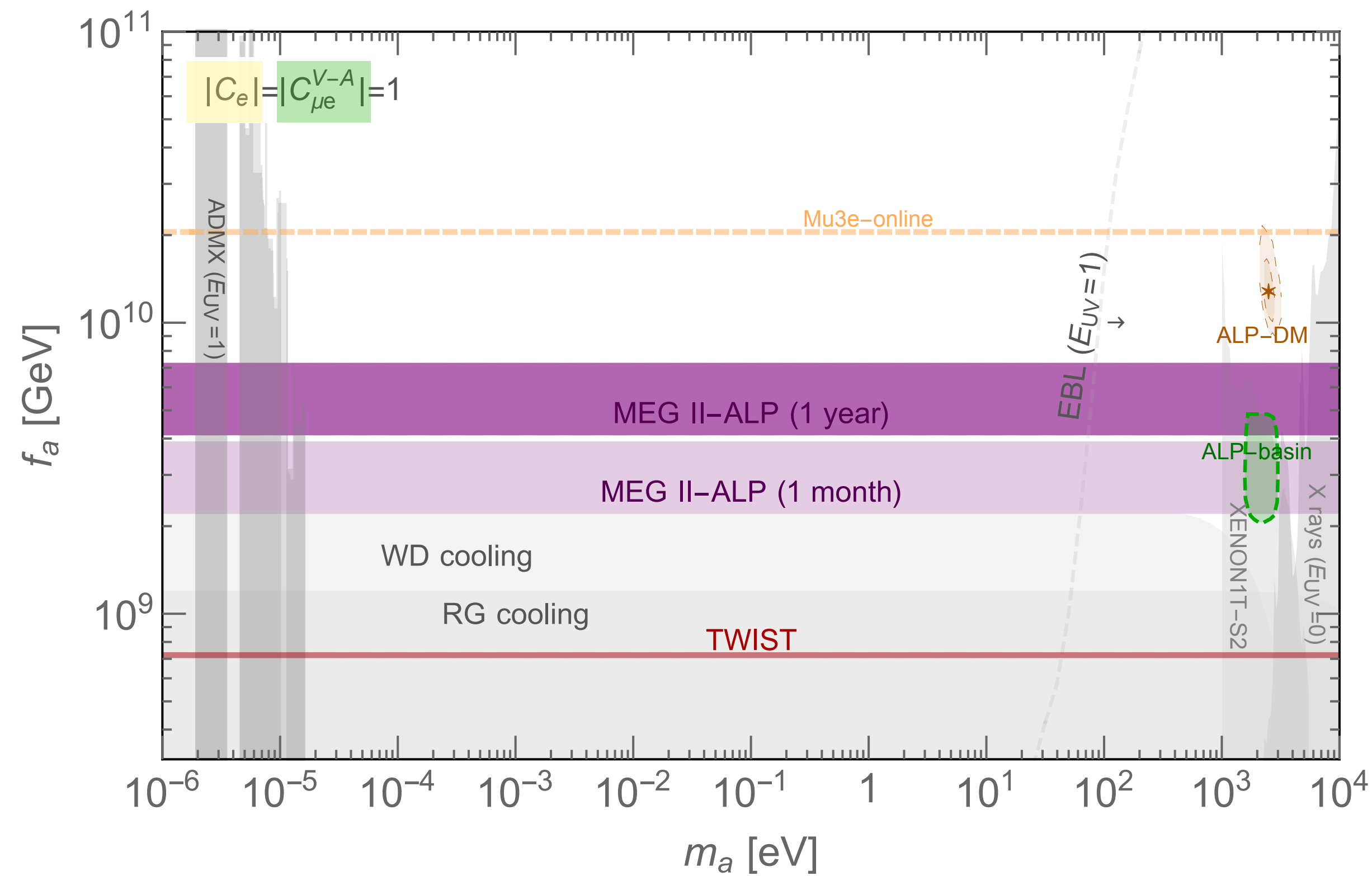
# Back to theory

axions coupled to leptons anarchically: *flavor diagonal* = *flavor off-diagonal*

$$\frac{\partial_\mu a}{f_a} \bar{e} \gamma^\mu \gamma_5 e$$

$$\frac{\partial_\mu a}{2f_a} \bar{\mu} \gamma^\mu (C_{\mu e}^V + C_{\mu e}^A \gamma_5) e$$

Panci, Redigolo, Schwetz Ziegler 2209.03371



$f_{a,\alpha=0}^{DM}$  [GeV]



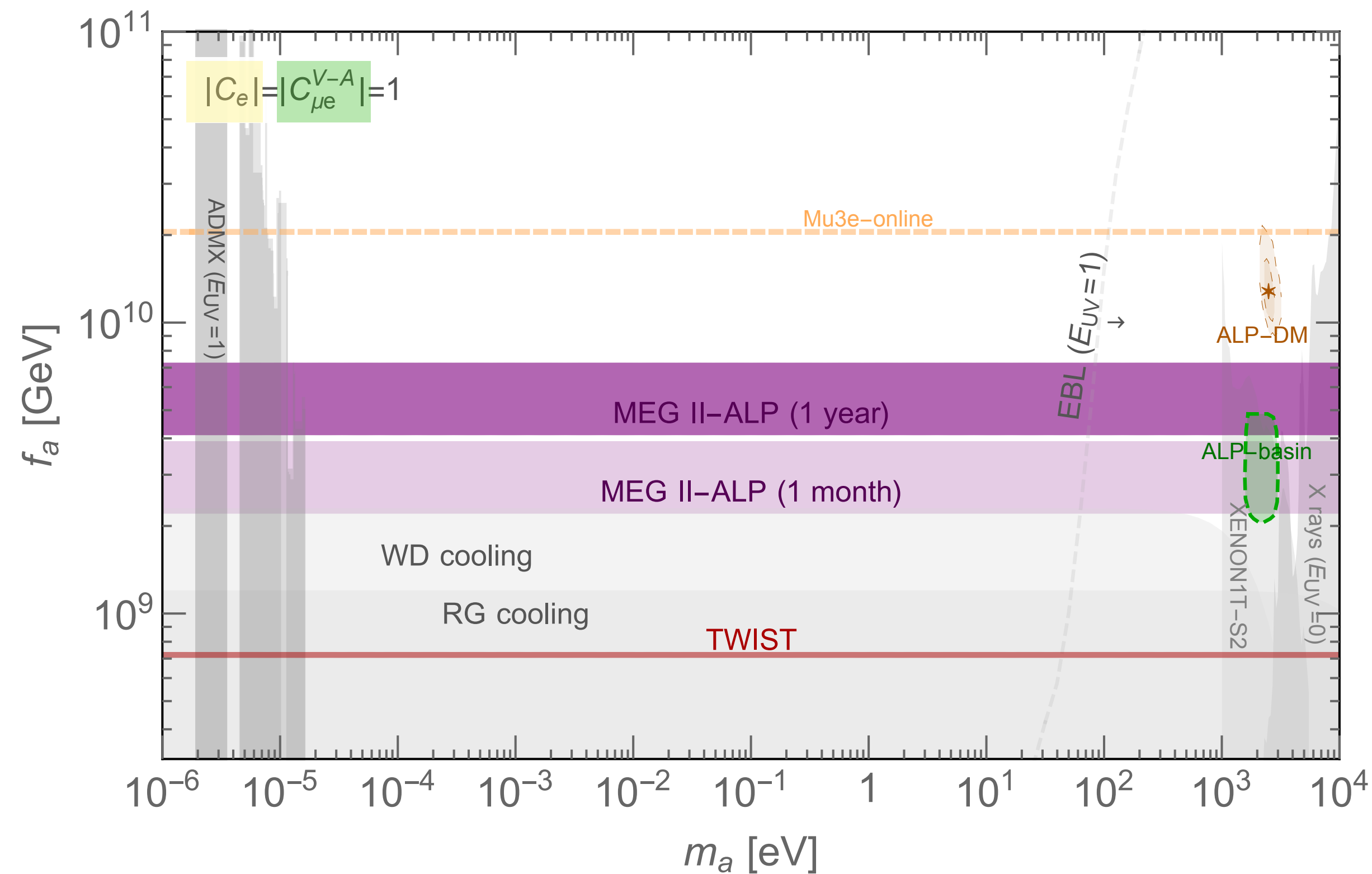
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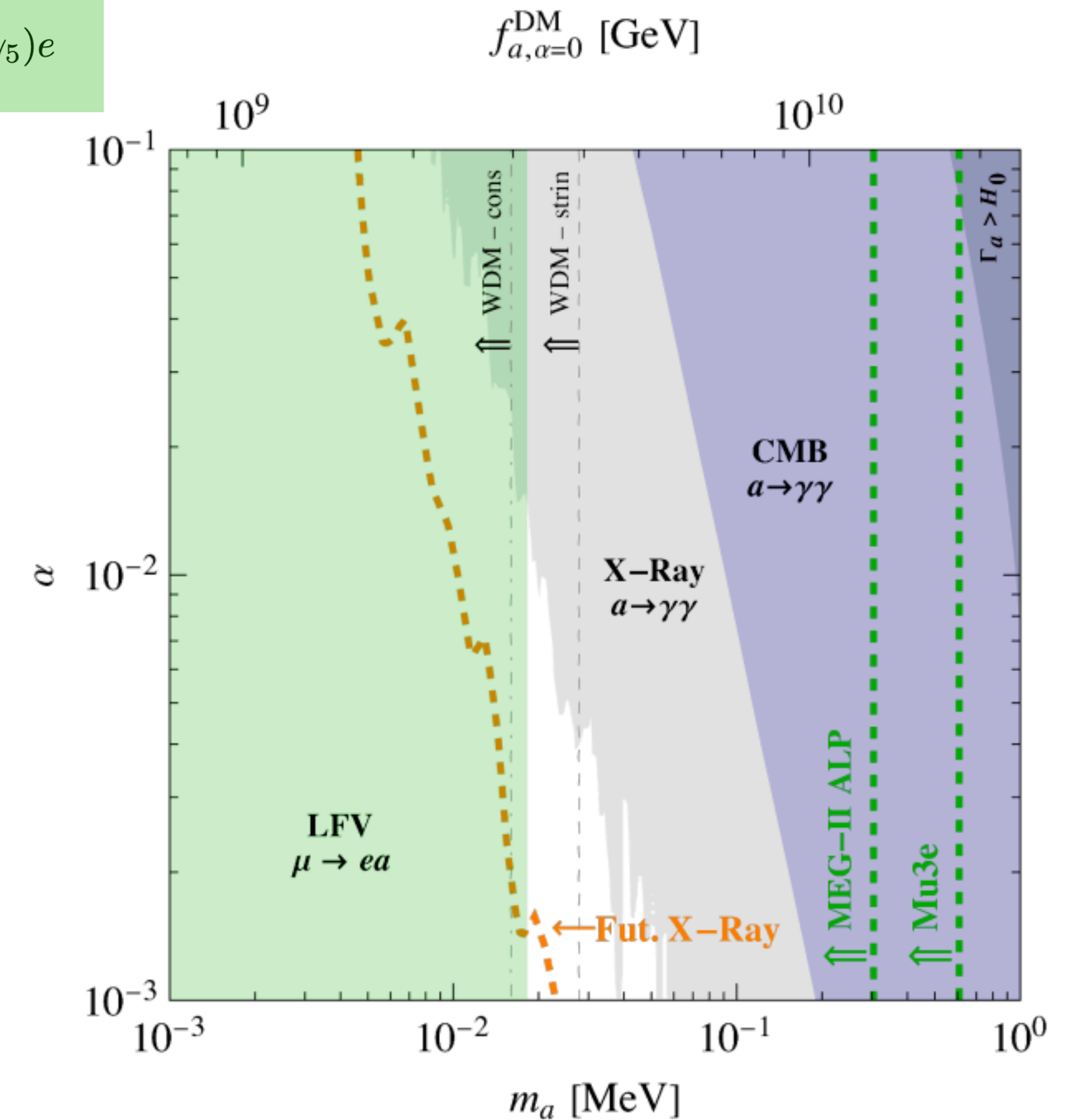
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Panci, Redigolo, Schwetz Ziegler 2209.03371



**MEG-II can surpass bounds from star cooling!**



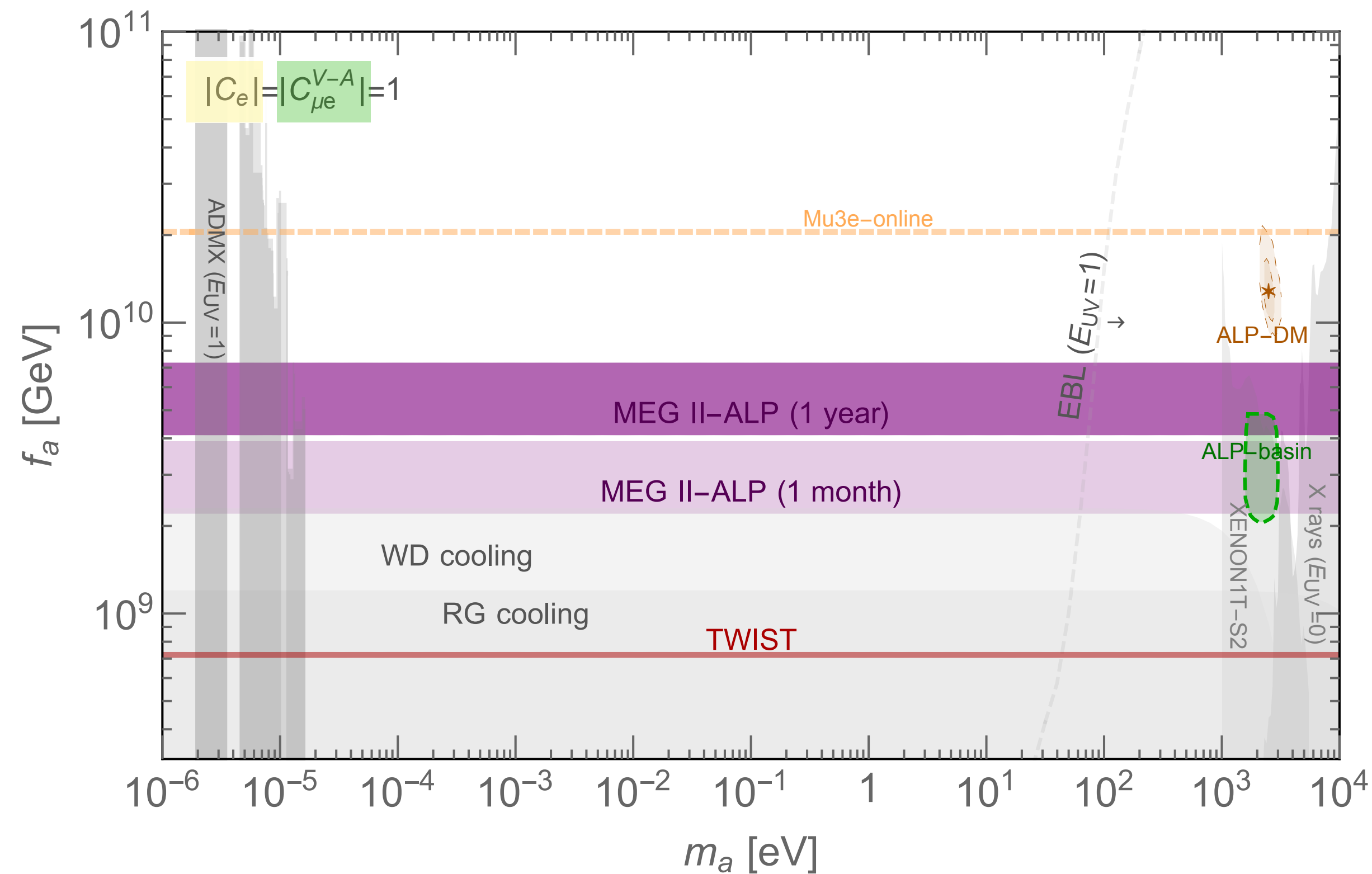
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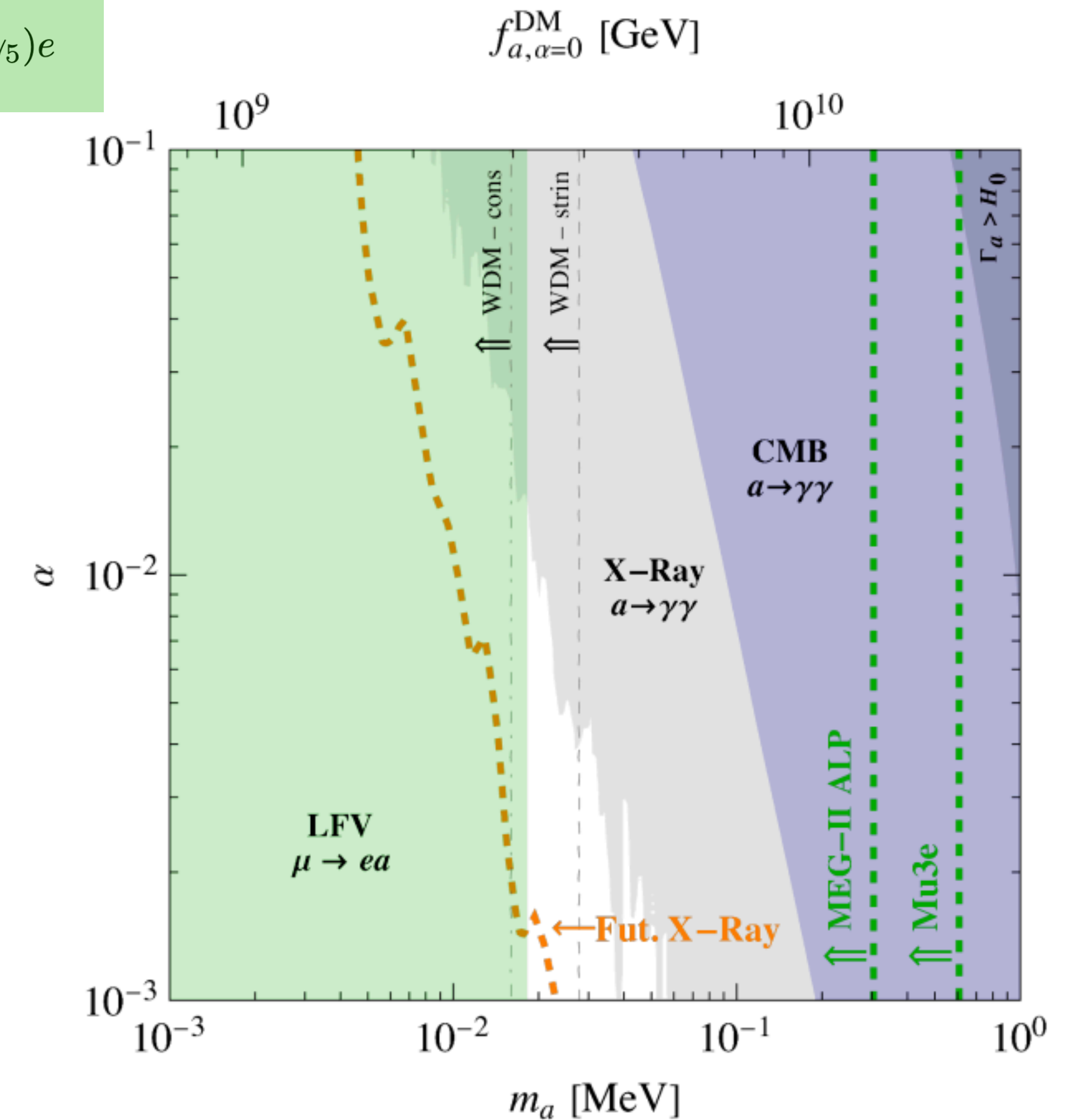
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Panci, Redigolo, Schwetz Ziegler 2209.03371



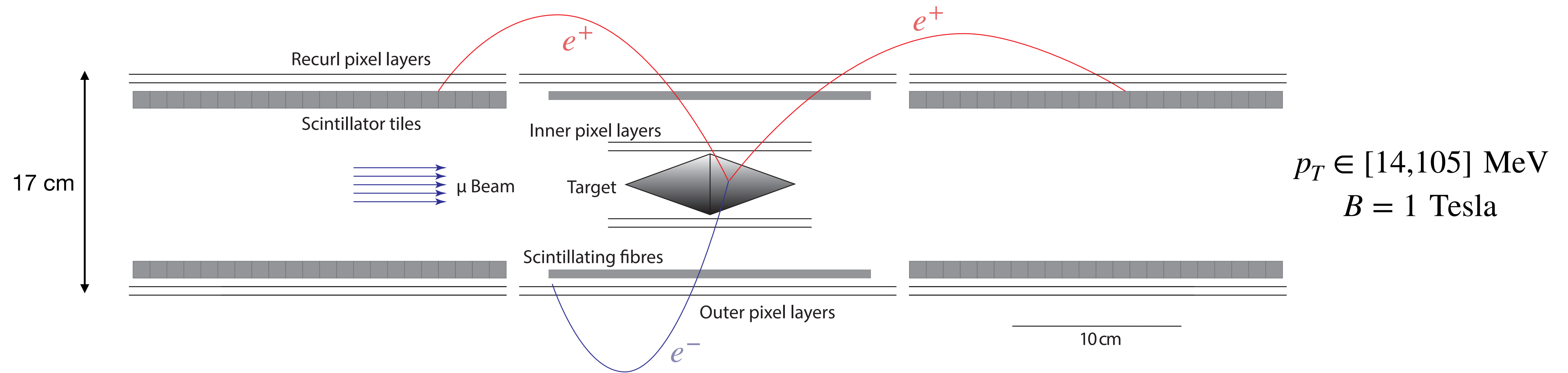
**MEG-II can surpass bounds from star cooling!**



**MEG-II can completely test Freeze-in model based on LFV decays**

# New searches @ Mu3e

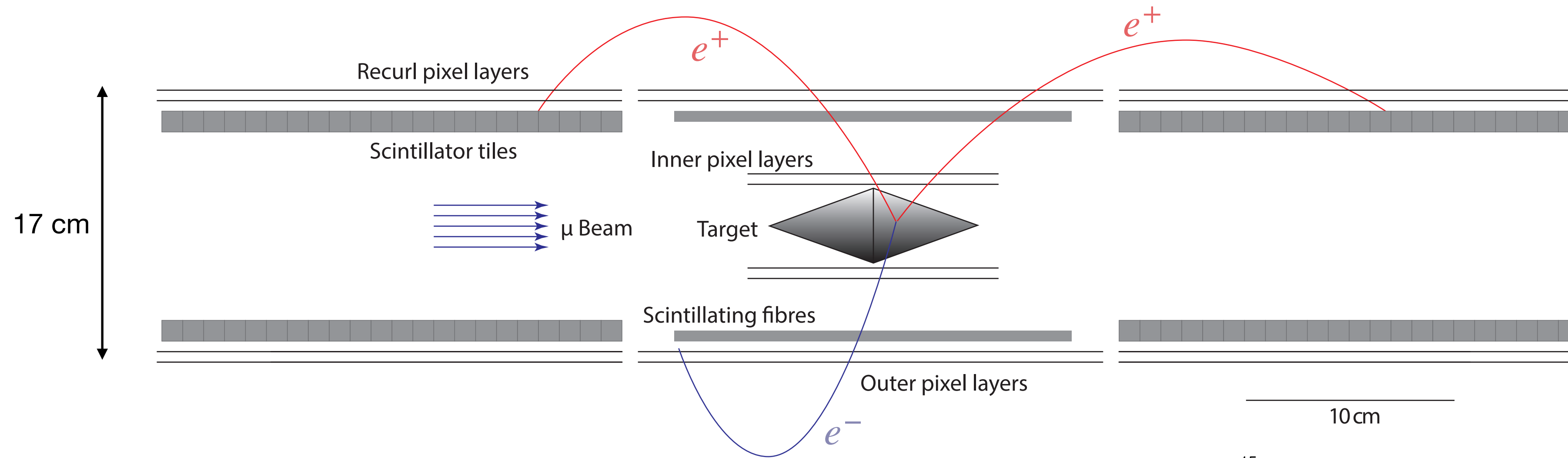
Hermetic detector optimised to detect 3 charged tracks reconstructing the muon mass



All the three tracks are save to tape  
so that missing energy searches can  
easily done!

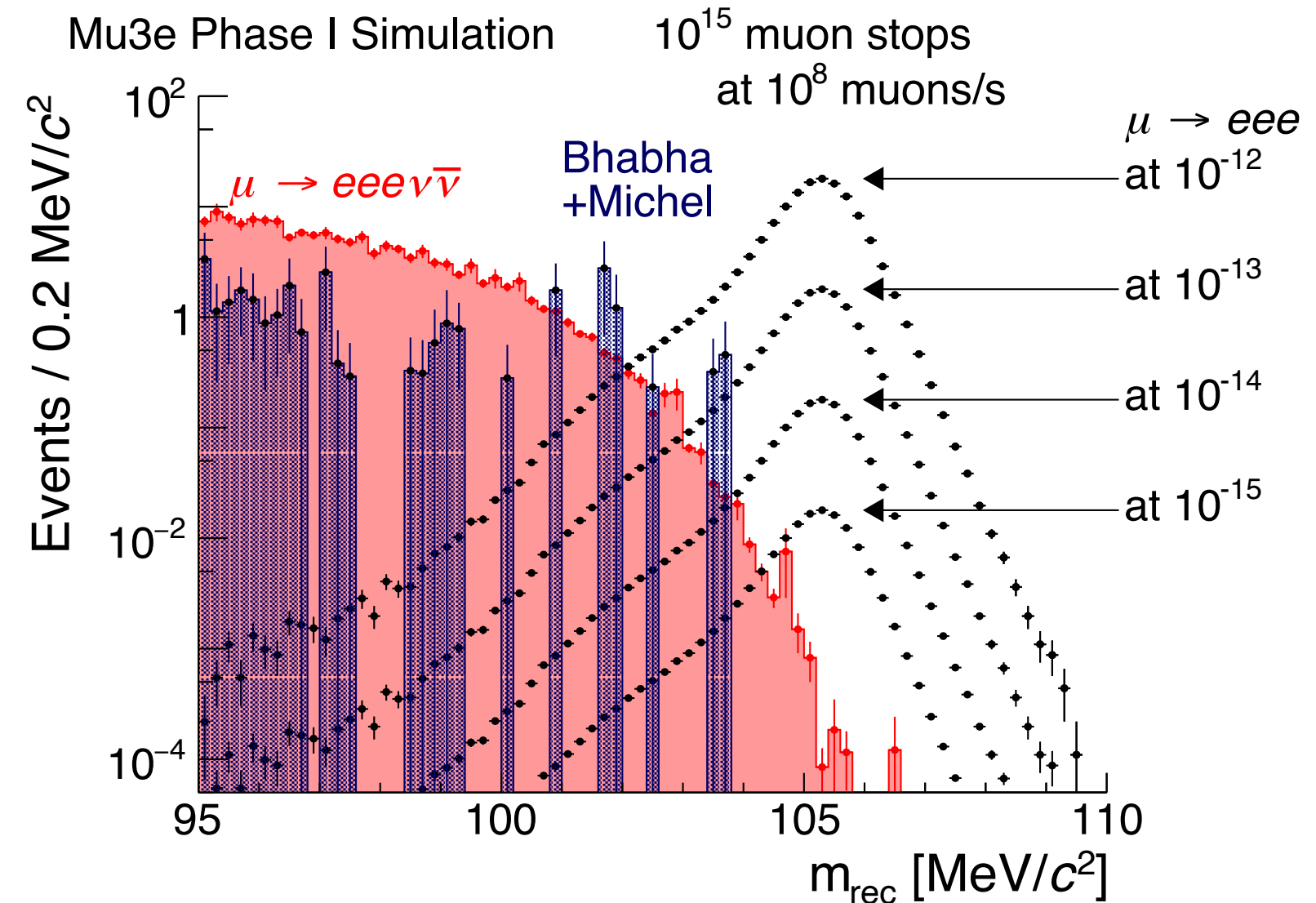
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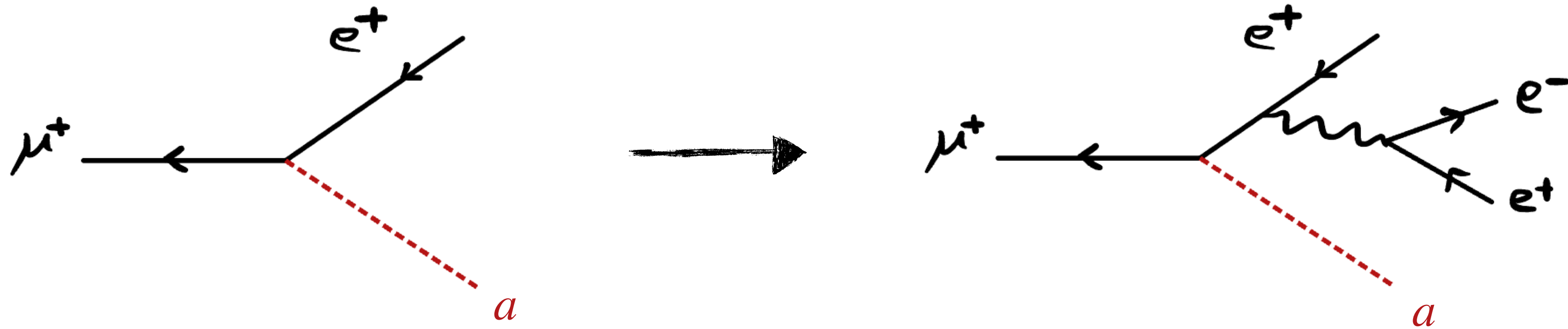


$p_T \in [14, 105] \text{ MeV}$   
 $B = 1 \text{ Tesla}$

All the three tracks are save to tape so that missing energy searches can easily done!

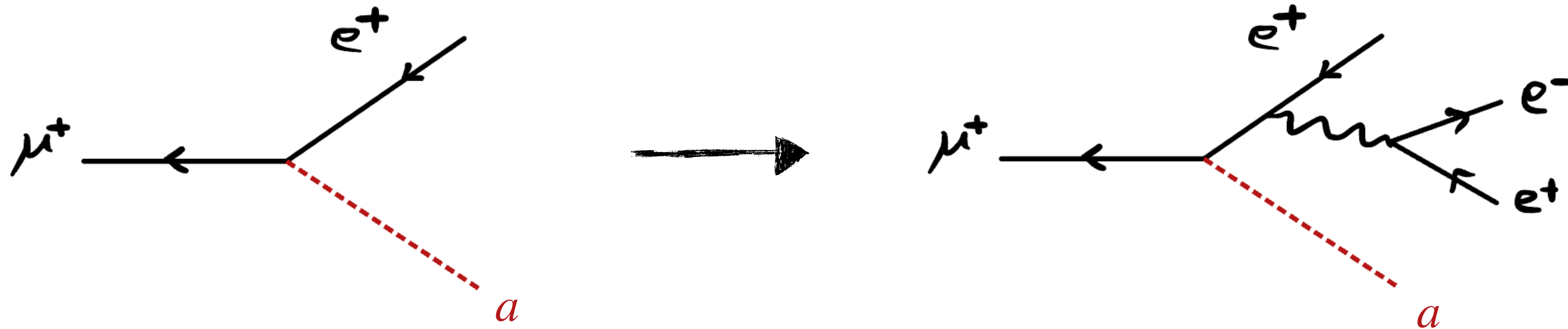


# Three tracks + a Flavor violating axion





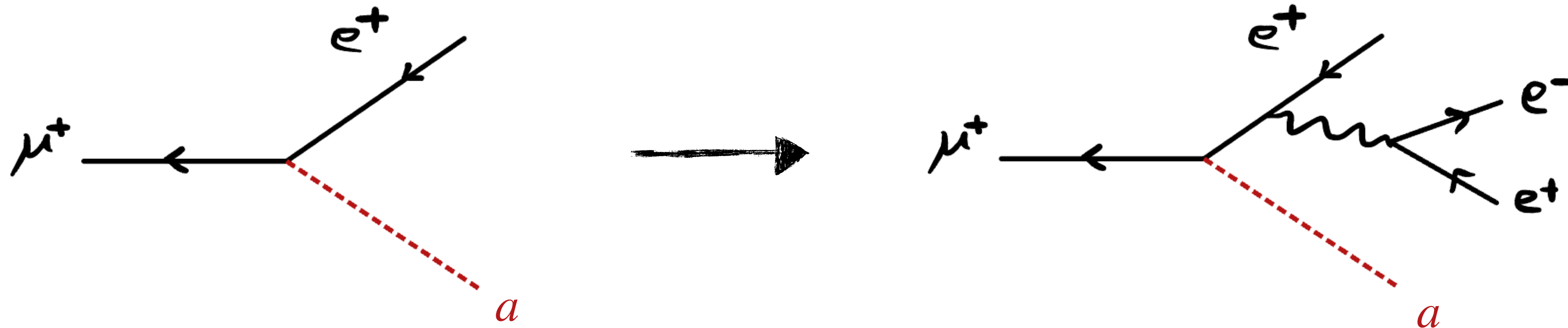
# Three tracks + a Flavor violating axion



## The price to pay:

- Extra factor  $\alpha^2$
- Phase-space suppression limited by the sensitivity of  $\mu 3e$  to low virtuality photons

# Three tracks + a Flavor violating axion



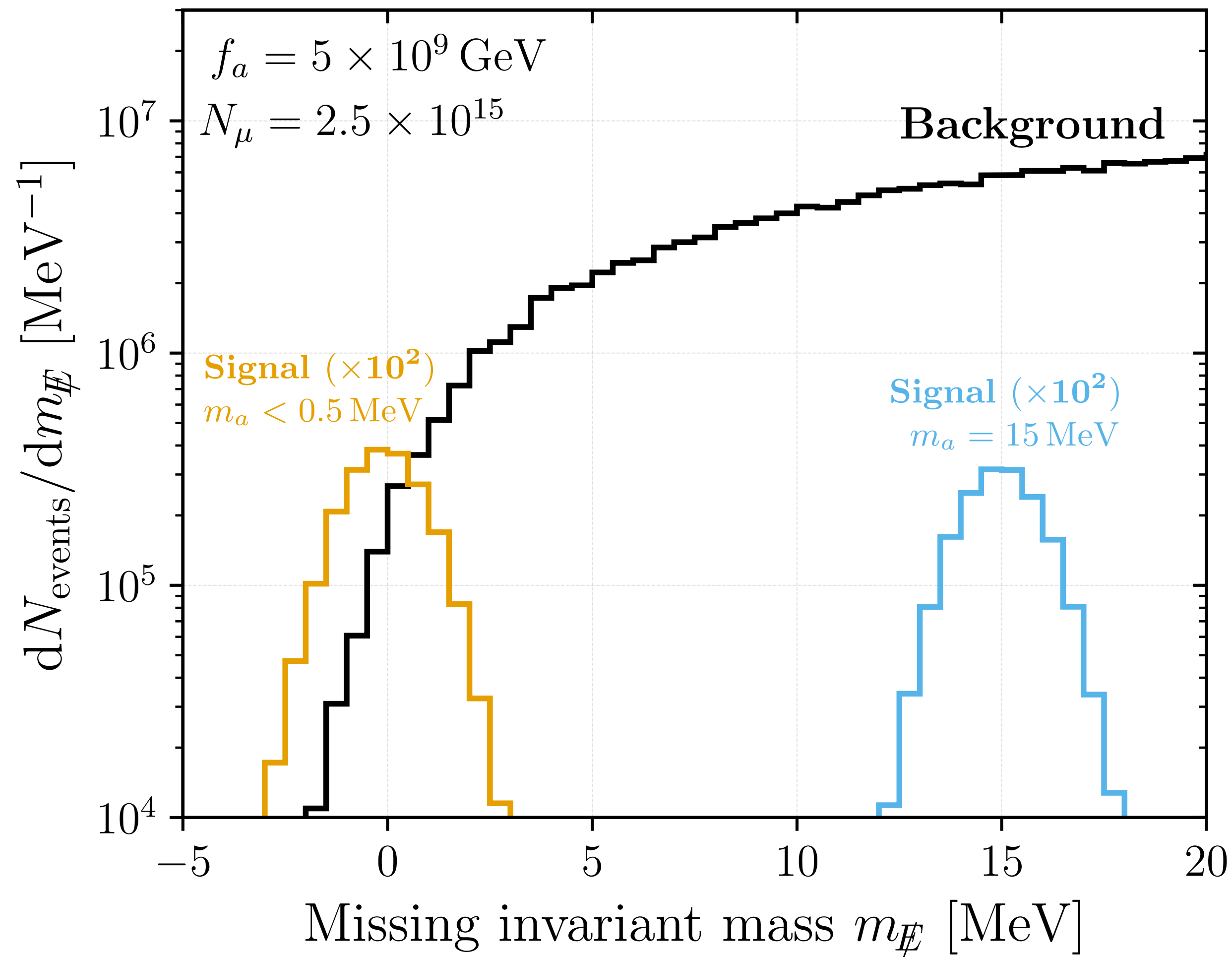
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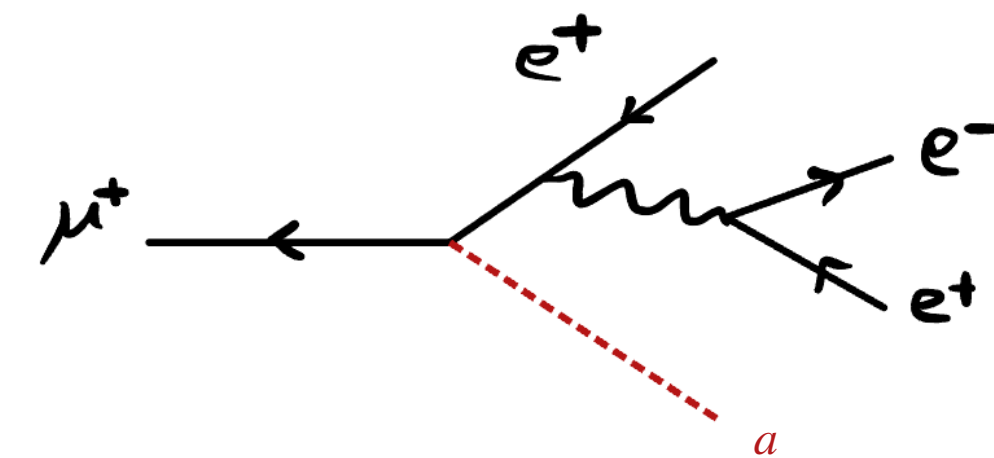
**1.  $e^\pm$  momenta now lie away from Michel calibration edge!**

**2. Analysis can be done offline leading to improved event reconstruction**

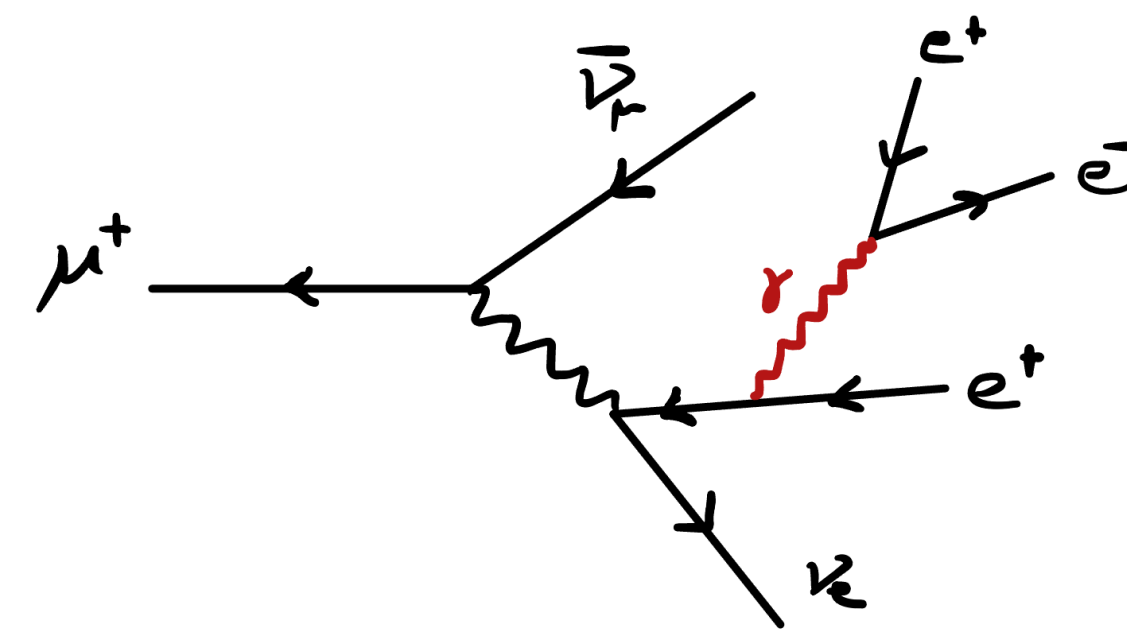
# Bump hunt in missing mass



Signal:

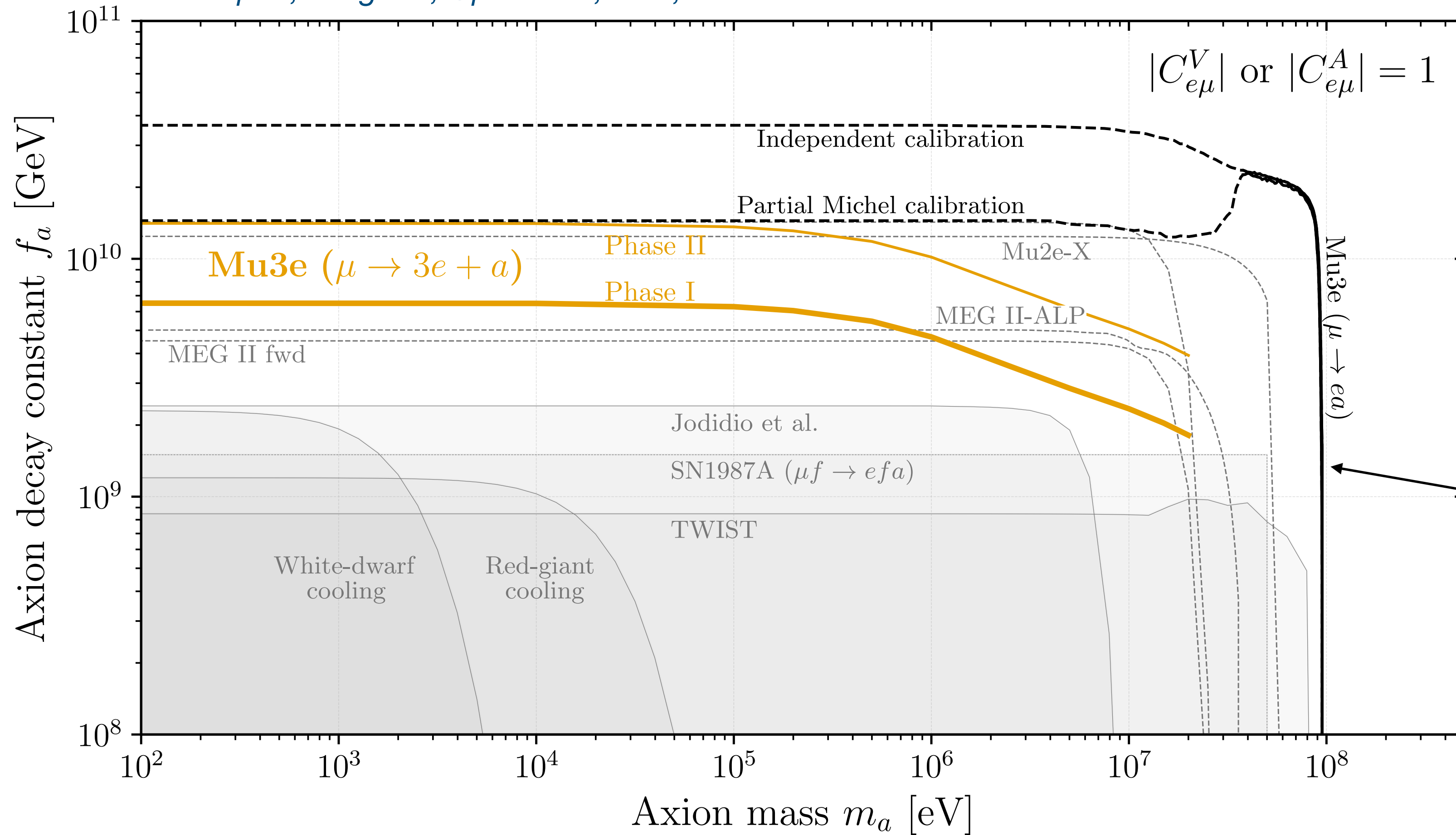


Background:



# Final Reach

*Knapen, Langhoff, Opferkuch, D.R., 2311.17915*



Phase I  $2.5 \times 10^{15} \mu^+$  stopped muons

Phase II  $5.5 \times 10^{16} \mu^+$  stopped muons

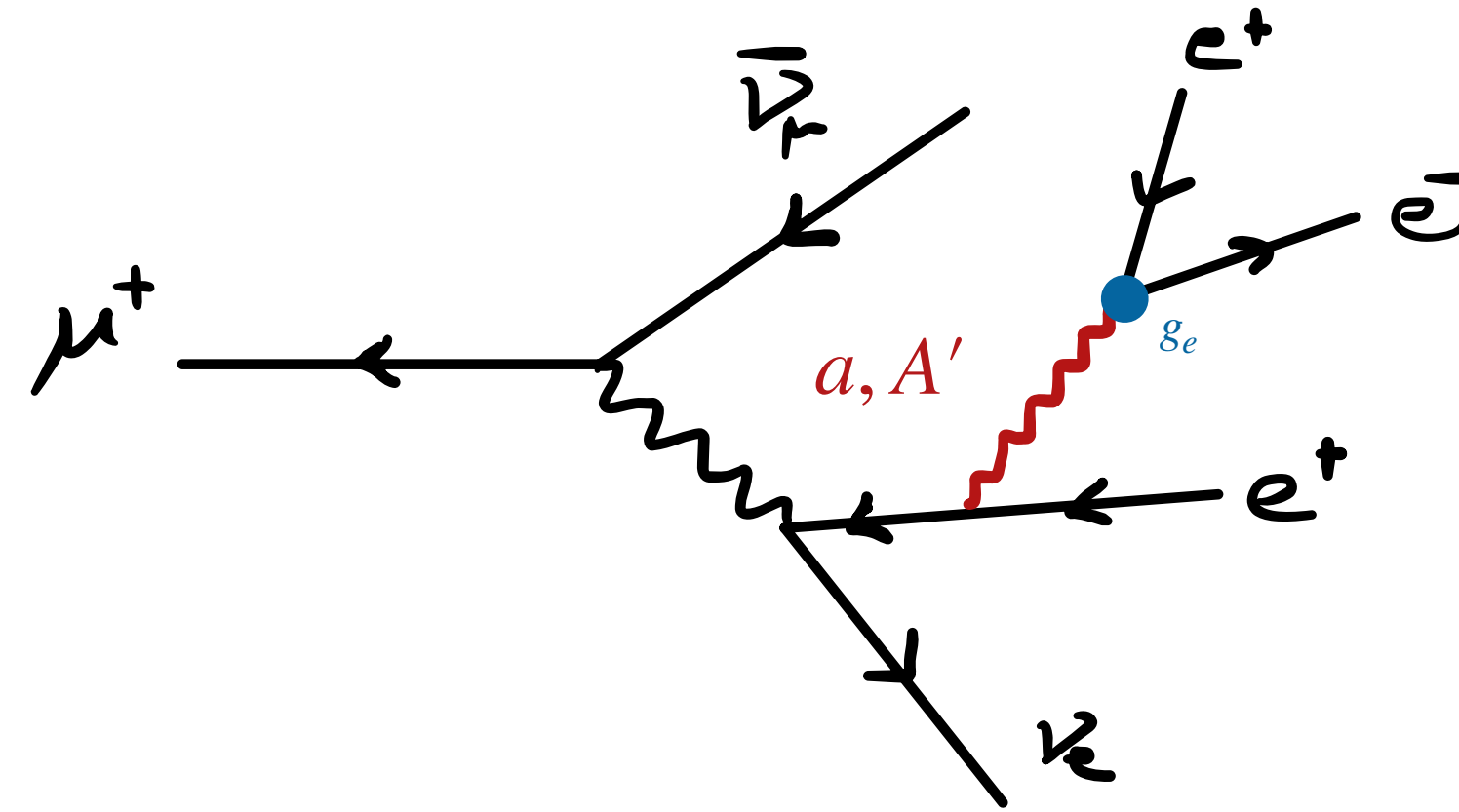
The reach of the two body decay channel should be taken with a grain of salt because it ignores systematic uncertainties

Enhanced Lumi @ mu3e can ameliorate over the MEG II proposal

# Three tracks from splitting a dark mediator

$$\Gamma_{X \rightarrow e^+e^-} \approx \frac{g_e^2}{8\pi} m_X$$

$$c\tau_X \approx 5 \text{ mm} \left( \frac{10^{-5}}{g_e} \right)^2 \left( \frac{10 \text{ MeV}}{m_X} \right)$$



## Two possibilities:

### 1. Prompt decays

*Knapen, Langhoff, Opferkuch, D.R., 2311.17913*

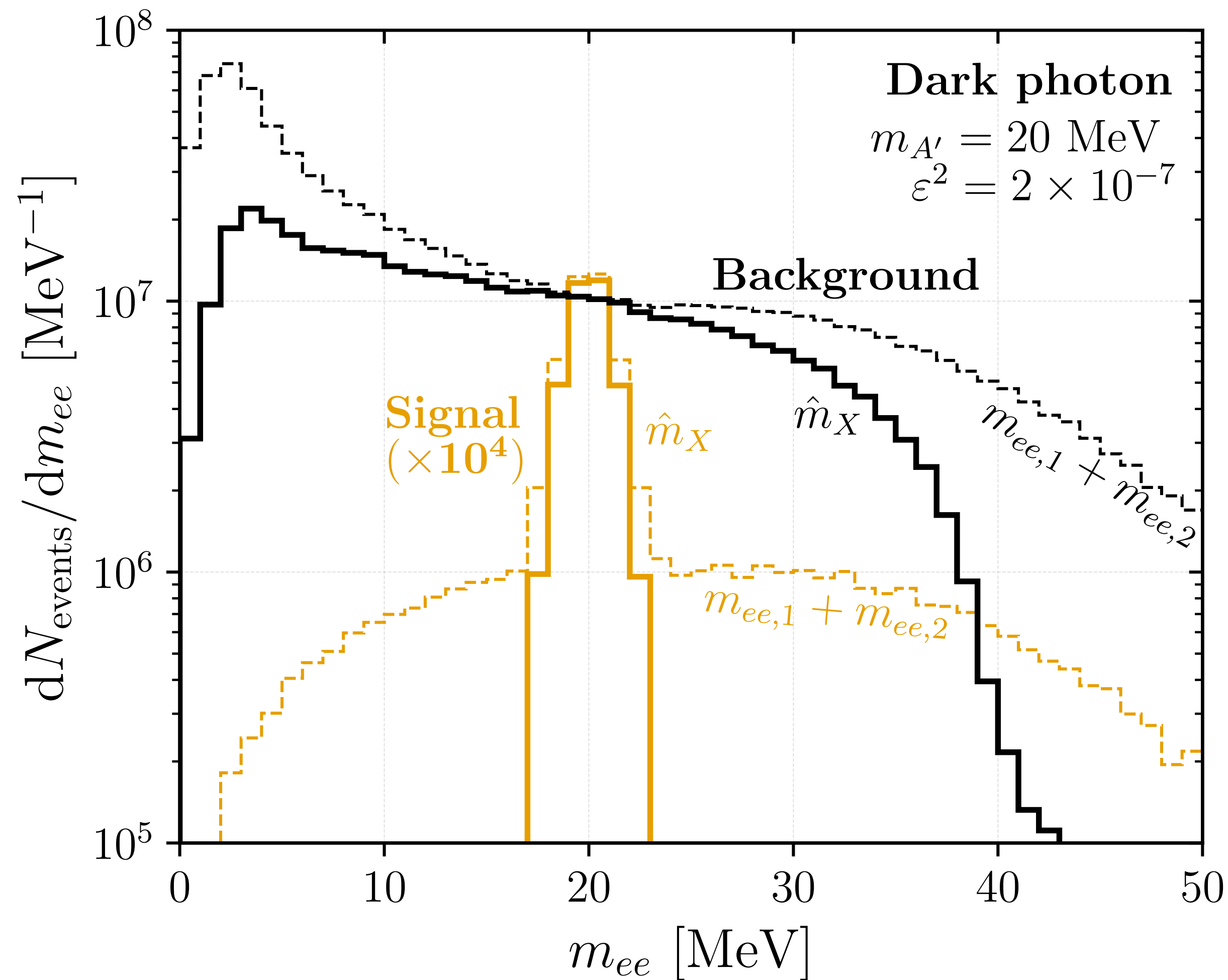
Mu3e event selection requires  $d_0 \leq 3 \text{ mm}$  previous results from  
[Echenard et al 1411.1770]  
[Perrevoort et al 1812.00741]

### 2. Displaced decays

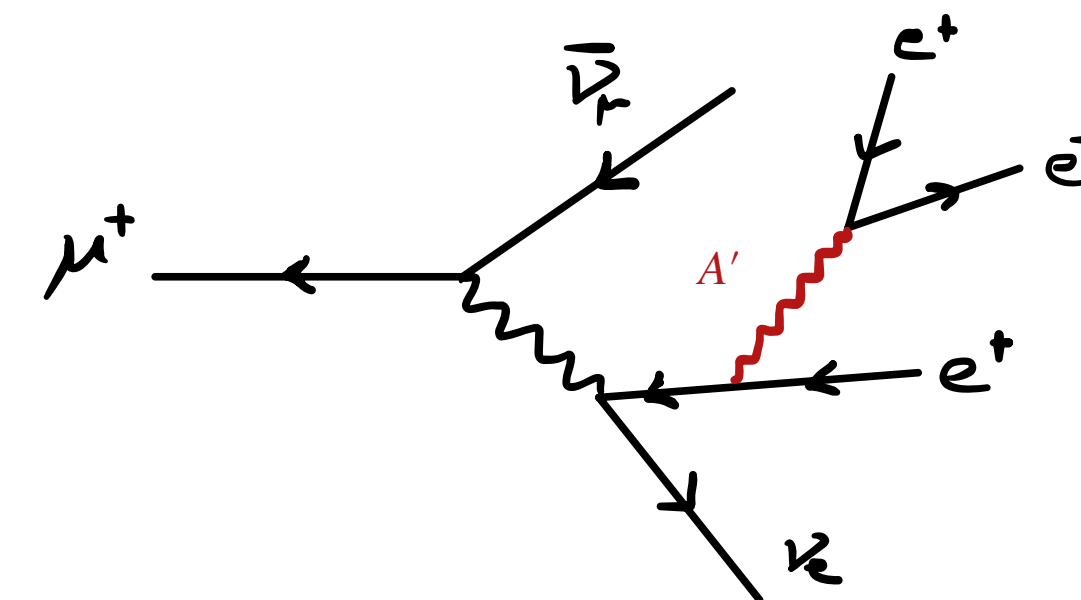
*Knapen, Opferkuch, D.R., Tammaro 2410.13941*



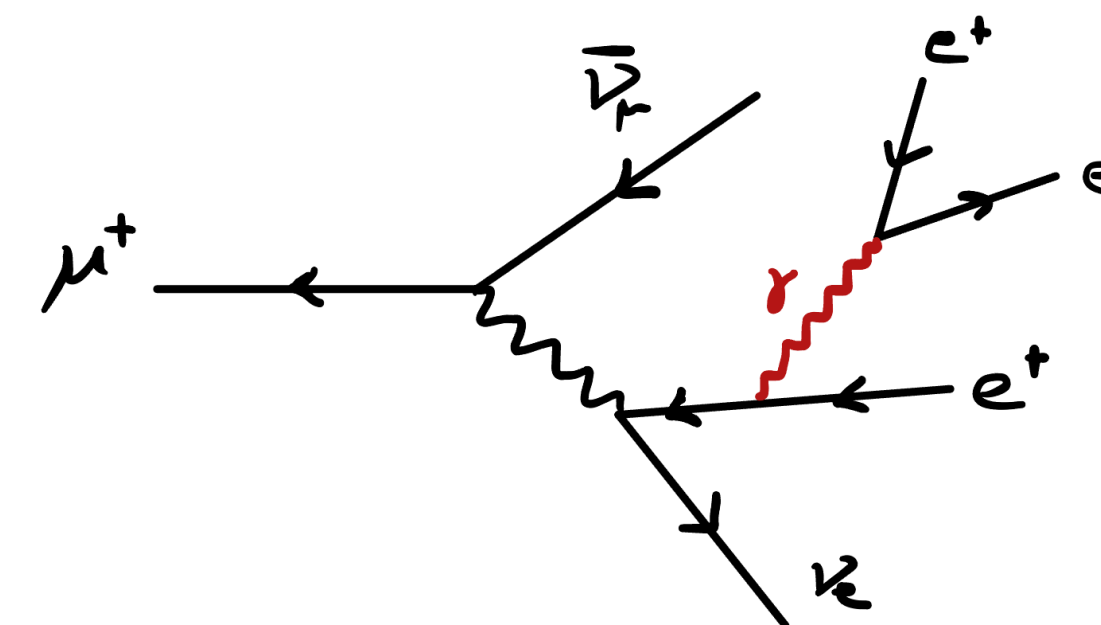
# Bump hunt in invariant mass



Signal:

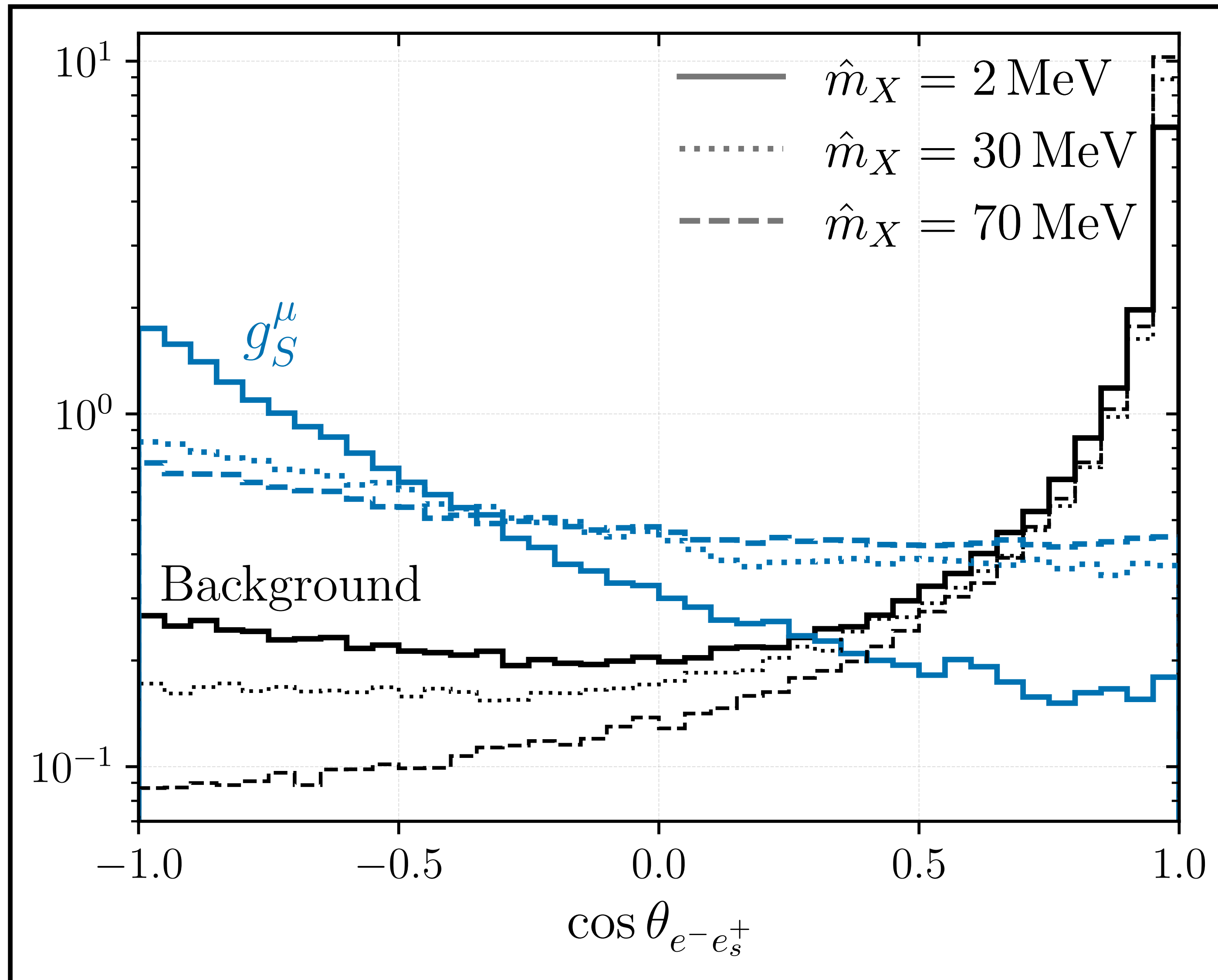


Background:

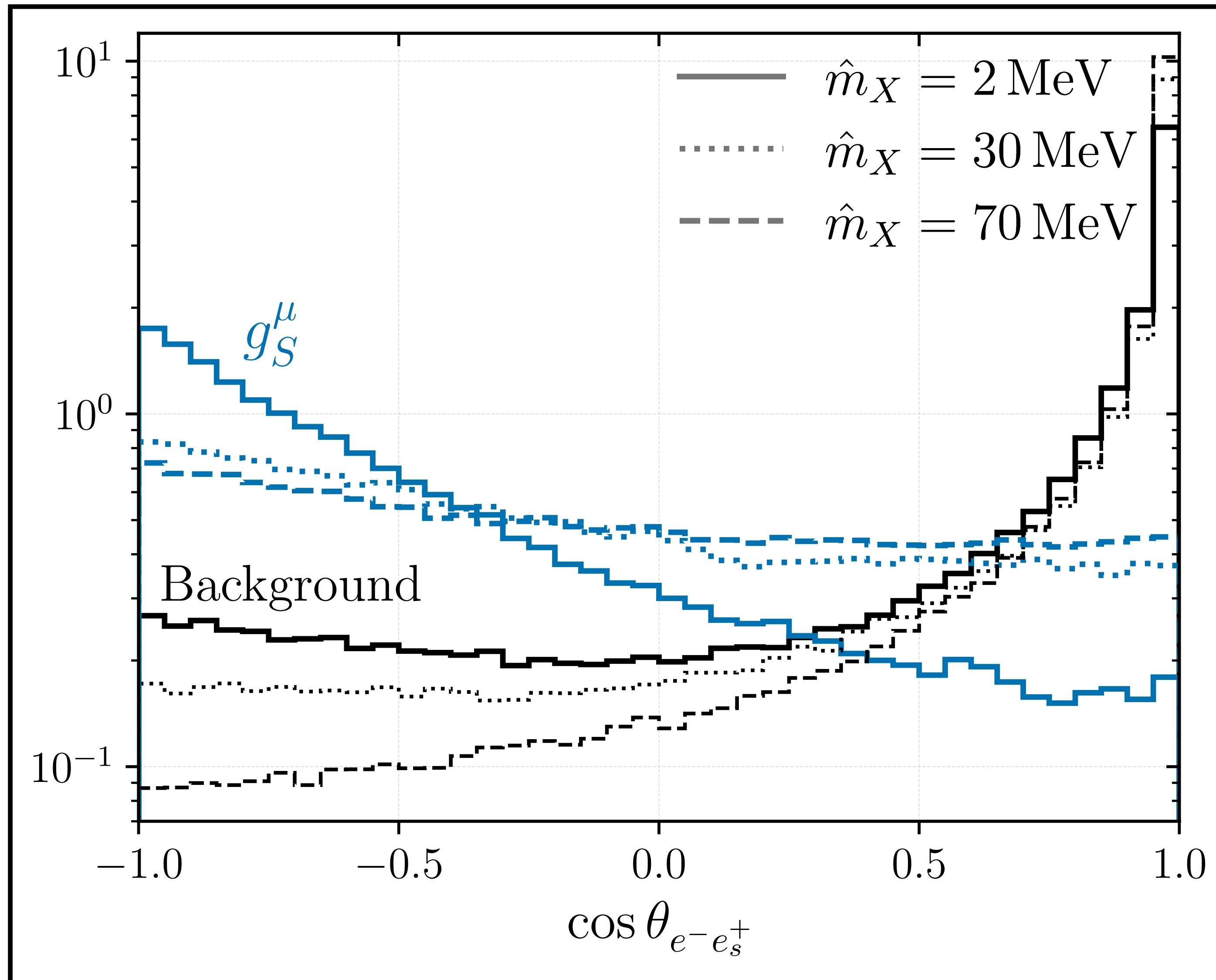


$\hat{m}_X$  is the  $e^+e^-$ -pair that reconstructs the mass of the hypothetical resonance

# Angular correlation



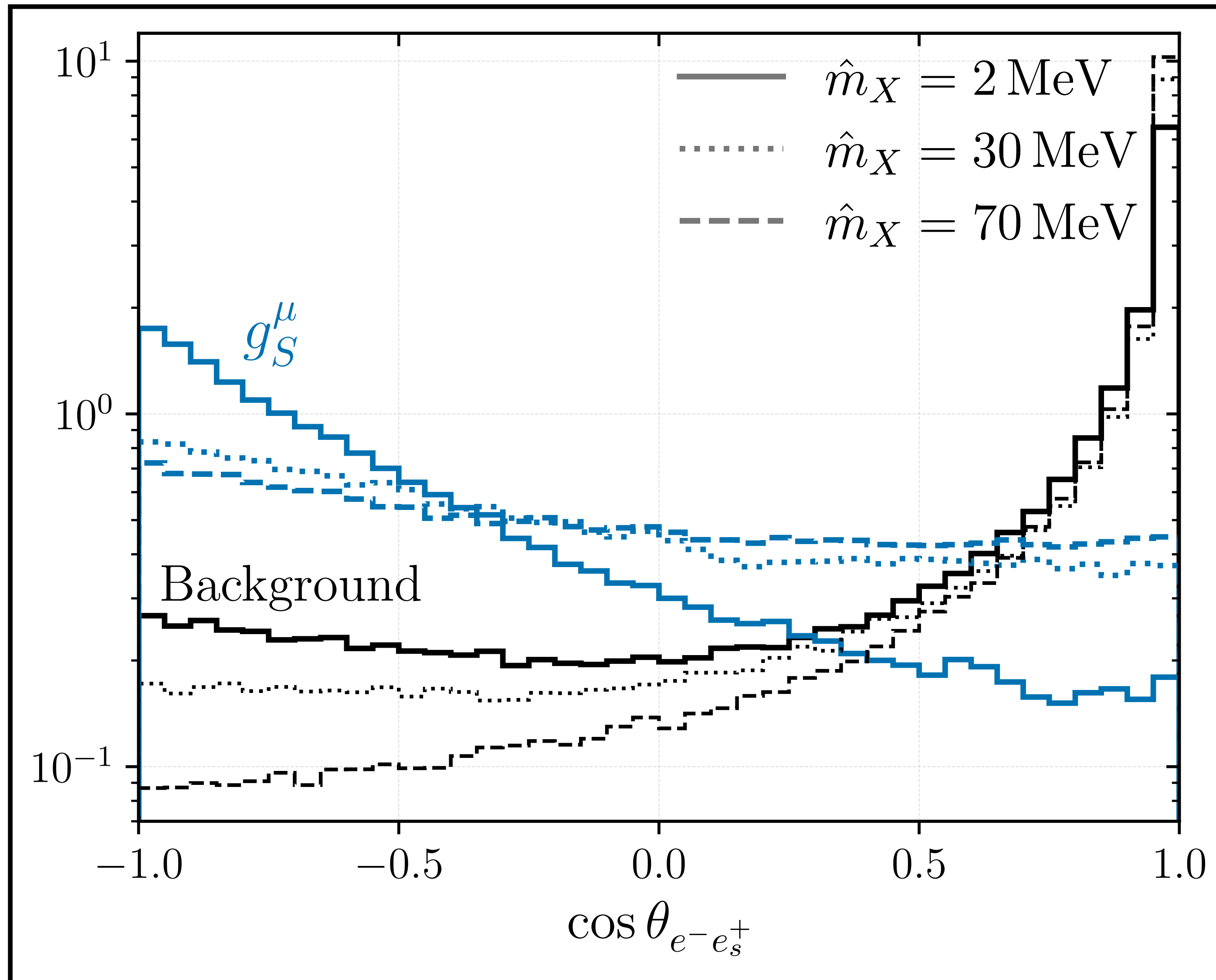
# Angular correlation



The off shell SM photon is different from an on shell new resonance

- One particular collinear singularity of the bkd is absent for the signal

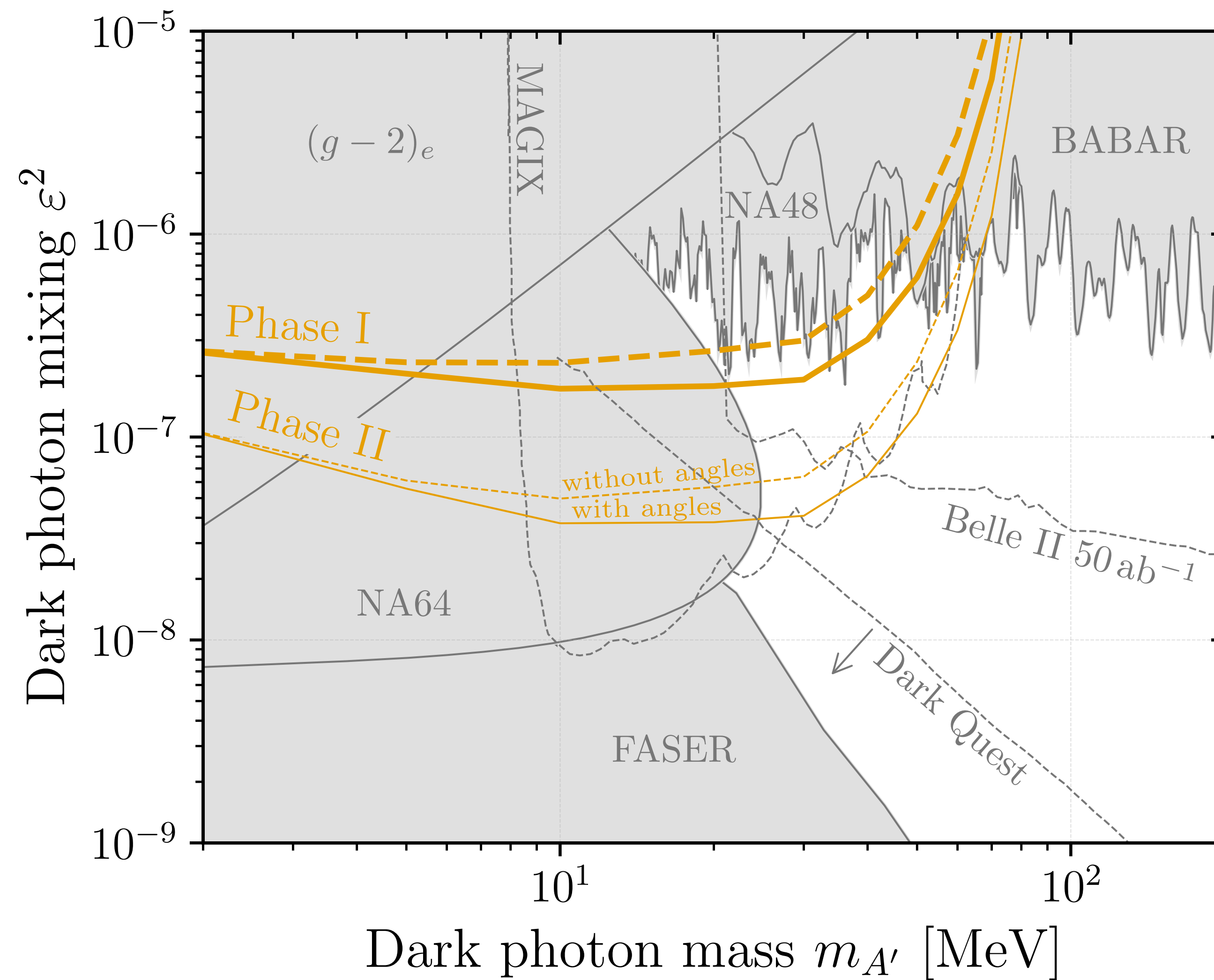
# Angular correlation



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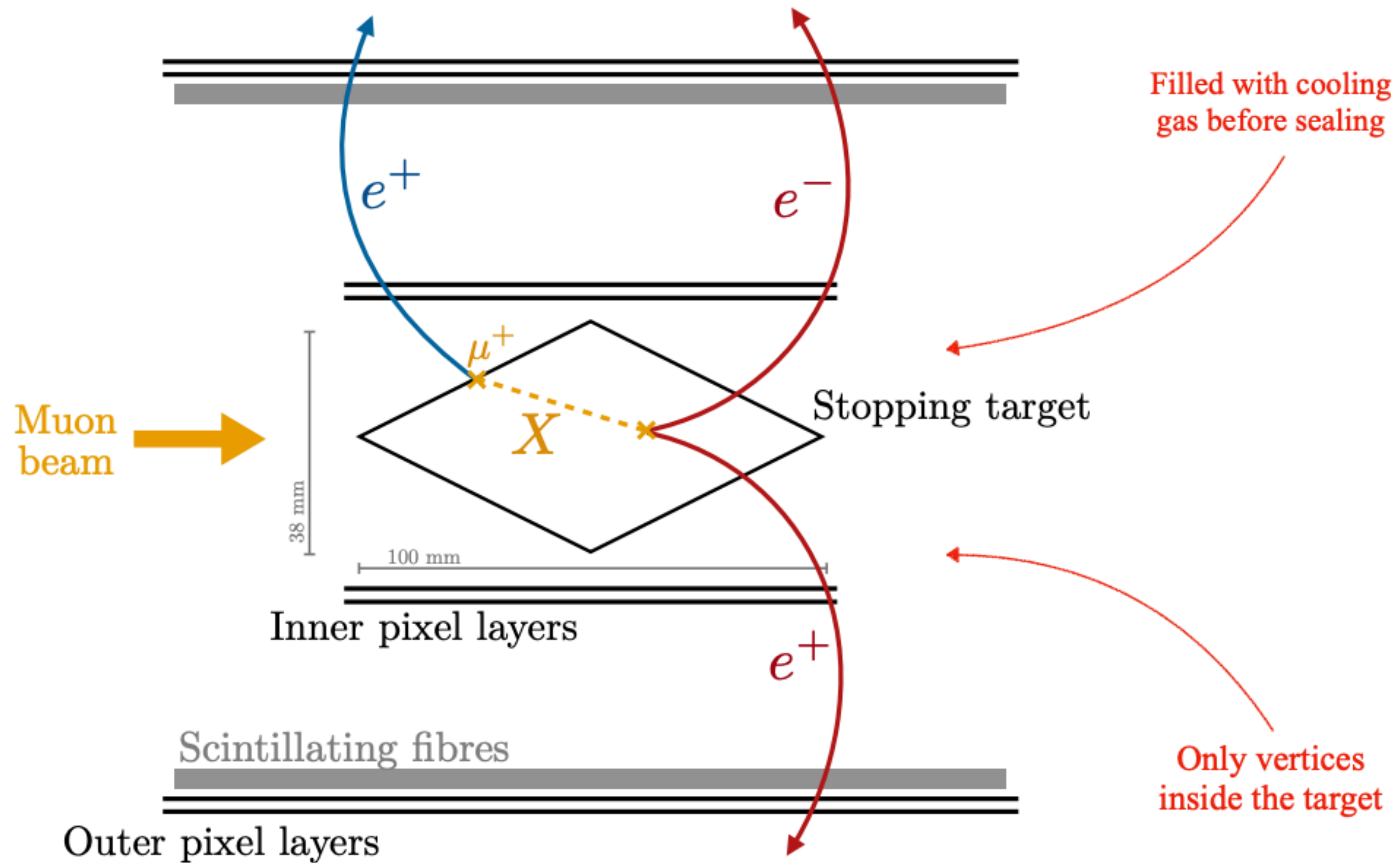
- One particular collinear singularity of the bkd is absent for the signal
- Further discrimination can be achieved depending on the coupling structure of the signal

# The Dark Photon parameter space

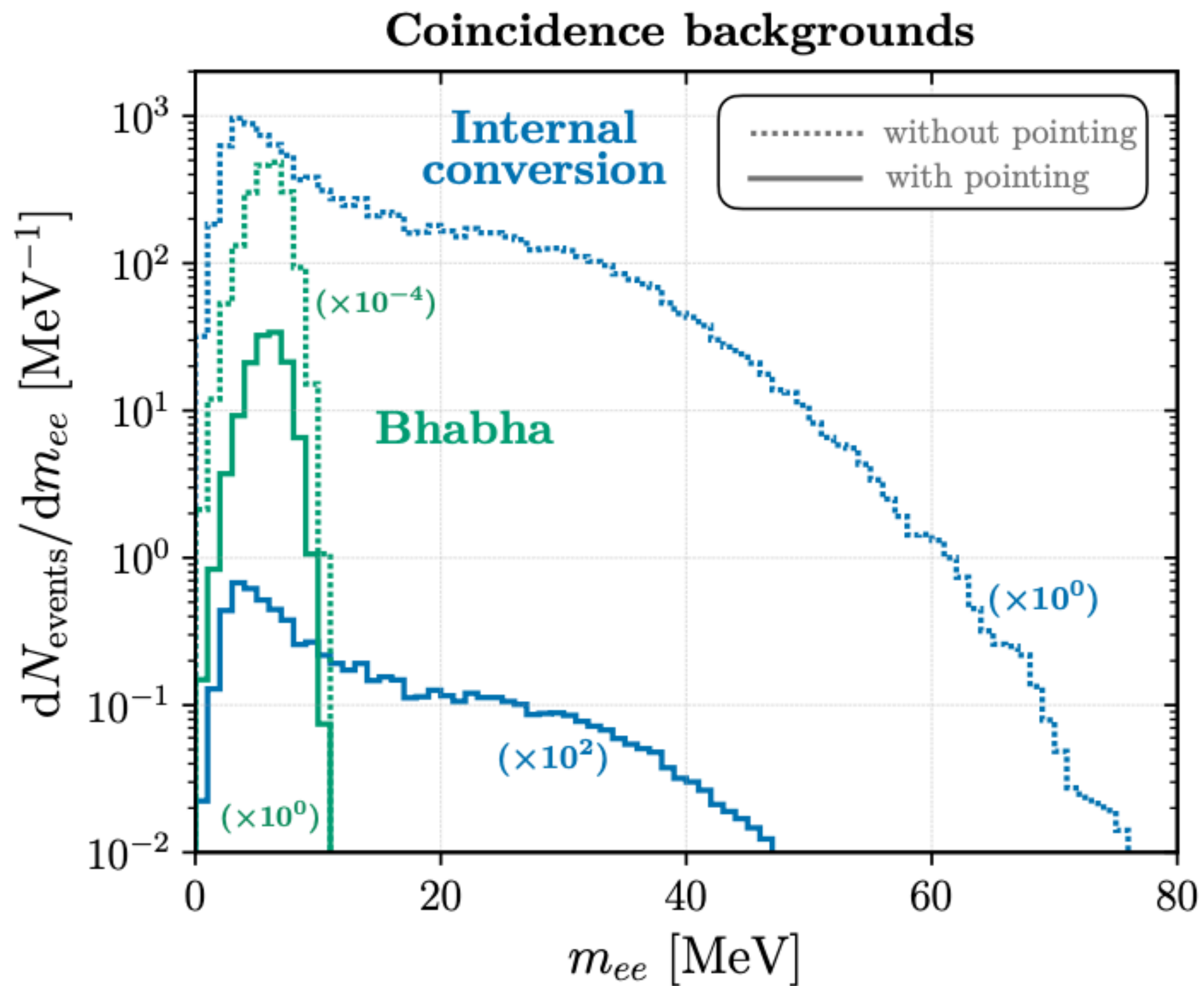




# Displaced resonances



# Backgrounds



No “neutrinos”

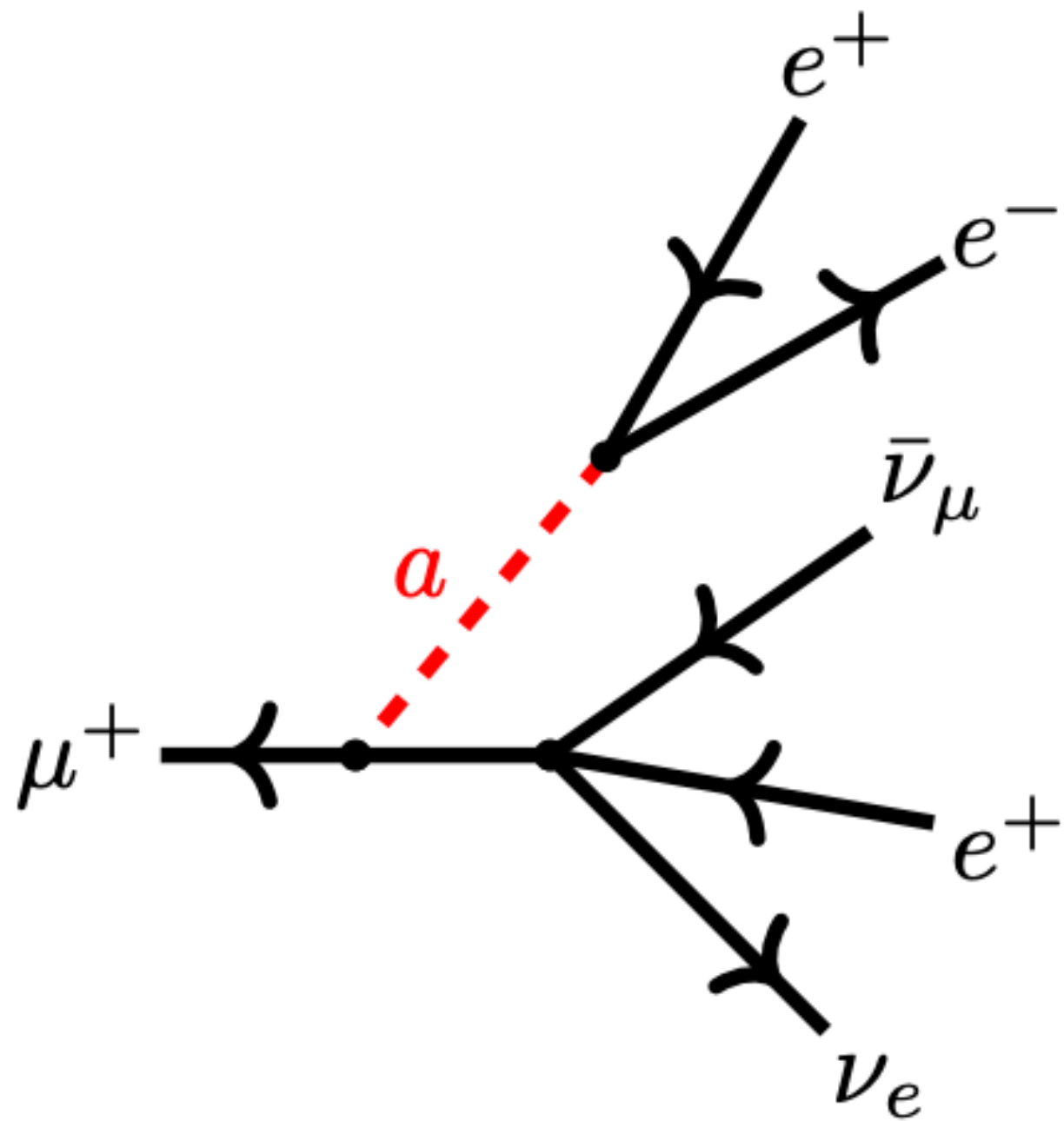
$$p_{\cancel{E}}^{\mu} = 0$$

“neutrinos”

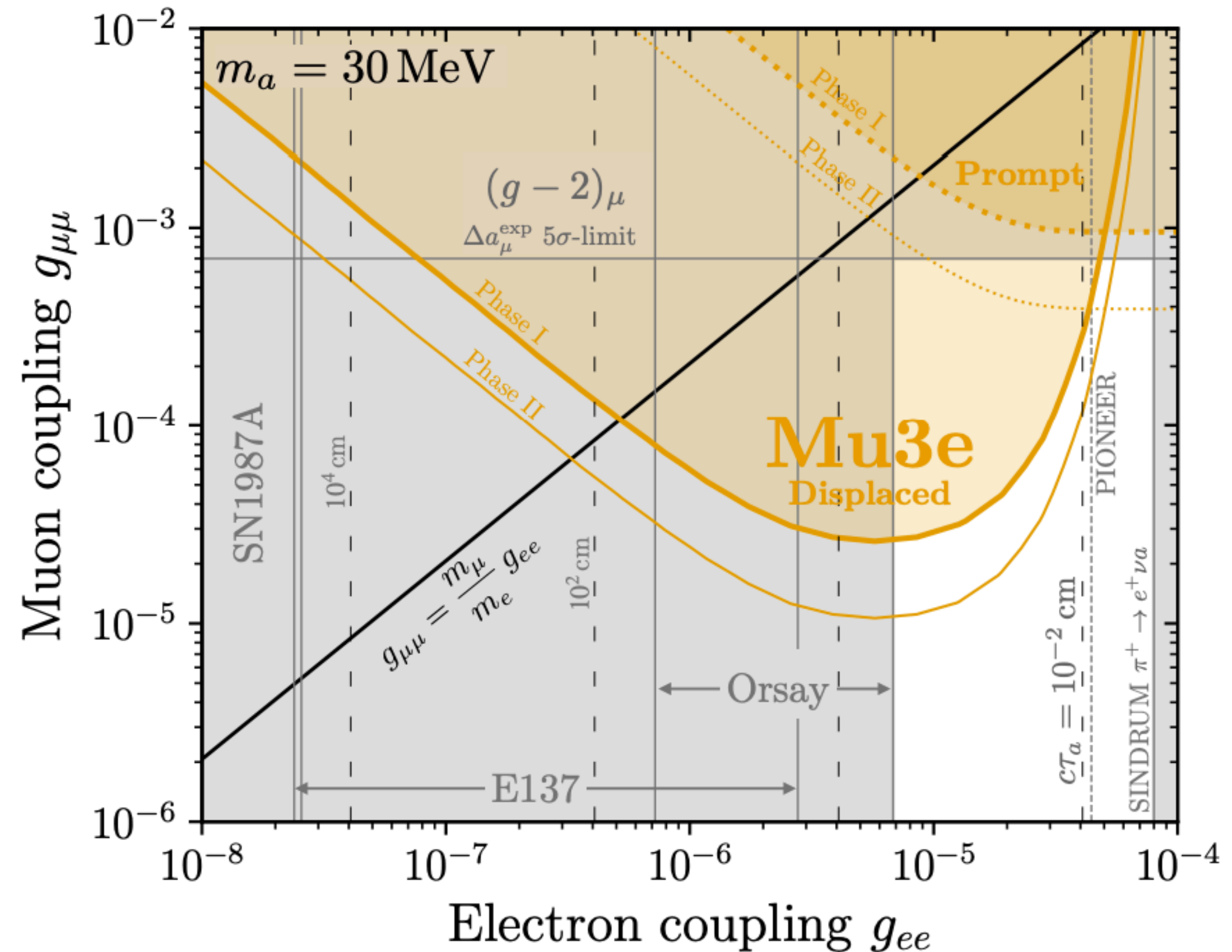
$$p_{\cancel{E}}^2 > 0$$

# Lepton flavor conserving ALP

$$\mathcal{L}_a = g_{\mu\mu} a \bar{\mu} \gamma_5 \mu + g_{ee} a \bar{e} \gamma_5 e$$



- ✓ Pointing
- ✗ Mass reconstruction

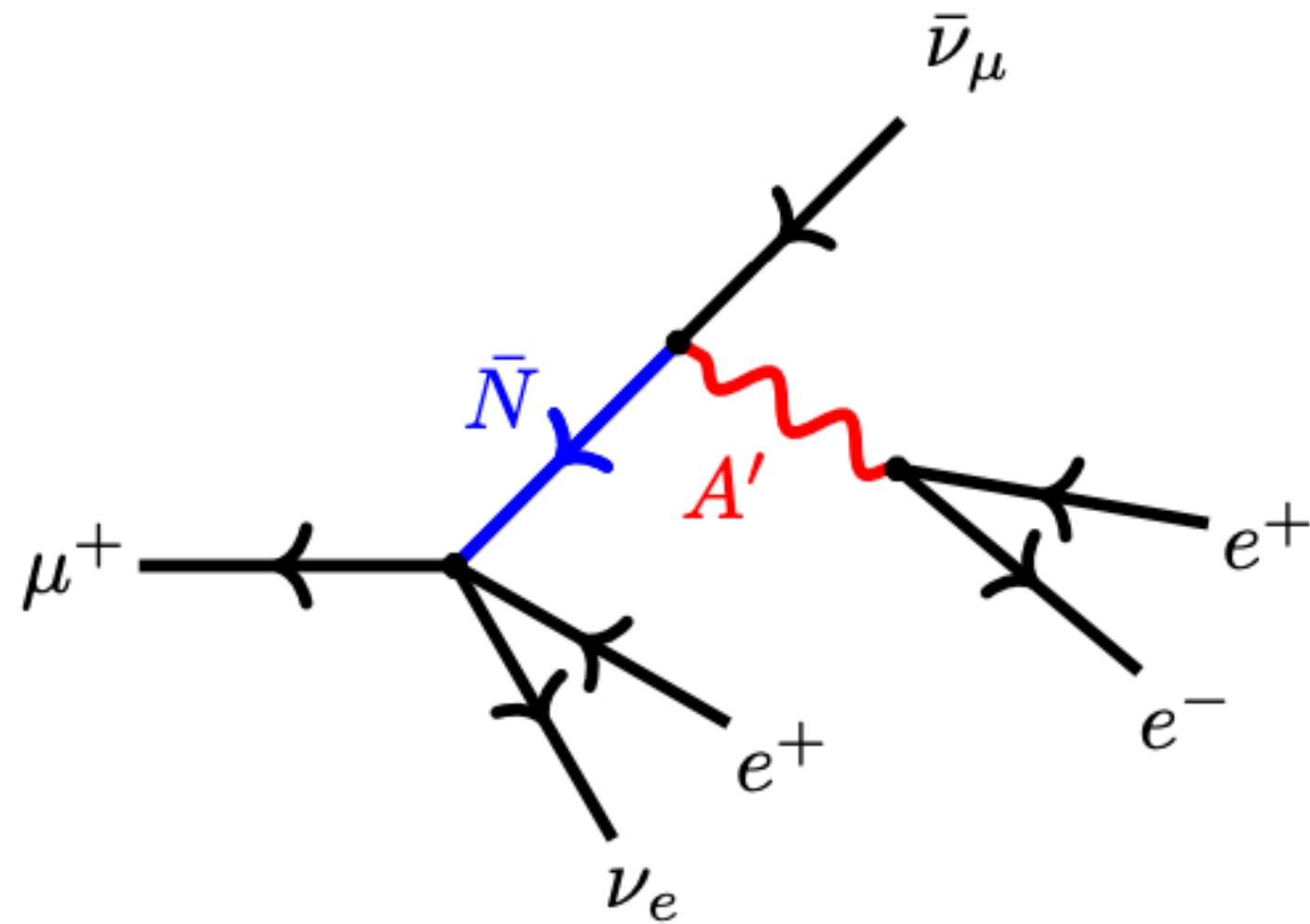


6

**short-baseline high intensity flavor experiments can win over beam dumps for short displacements!**

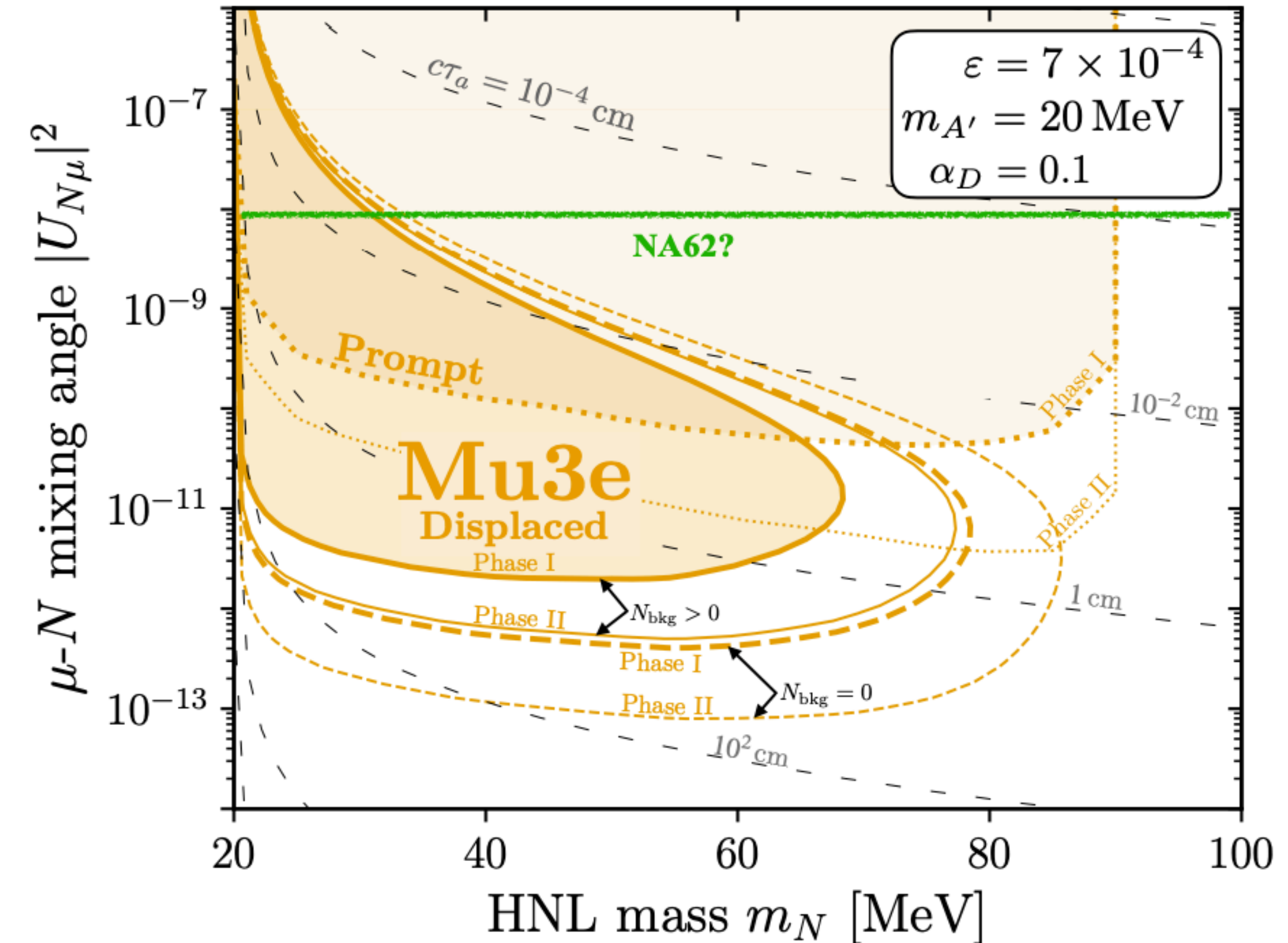
# Light steriles + dark photon

$$2m_e < m_{A'} < m_N < m_\mu$$



✗ Pointing

✗ Mass reconstruction



**if the signal contains a lot of missing energy flavor factories can significantly extend the reach**





*We might still be lucky...  
...and see something*

## ADVANTAGEOUS PARADIGM FOR ACCELERATORS

*The Dark Matter is **light thermal relics***

*For example SM neutrinos are a component of the dark matter today and are easily produced at accelerators while their relic background is difficult to unveil*

*The neutrino mass comes from **inverse seesaw***

$$y_n H L N + M_N N \bar{N} + \mu_N N^2$$

SMALL  $m_\nu = U_{N\nu}^2 \mu_N$   $\xleftrightarrow{\mu_N \ll M_N}$   $U_{N\nu} = \frac{y_N v}{M_N}$  LARGE



# What if neutrino are composite?

to appear with M. Costa and M. Borrello

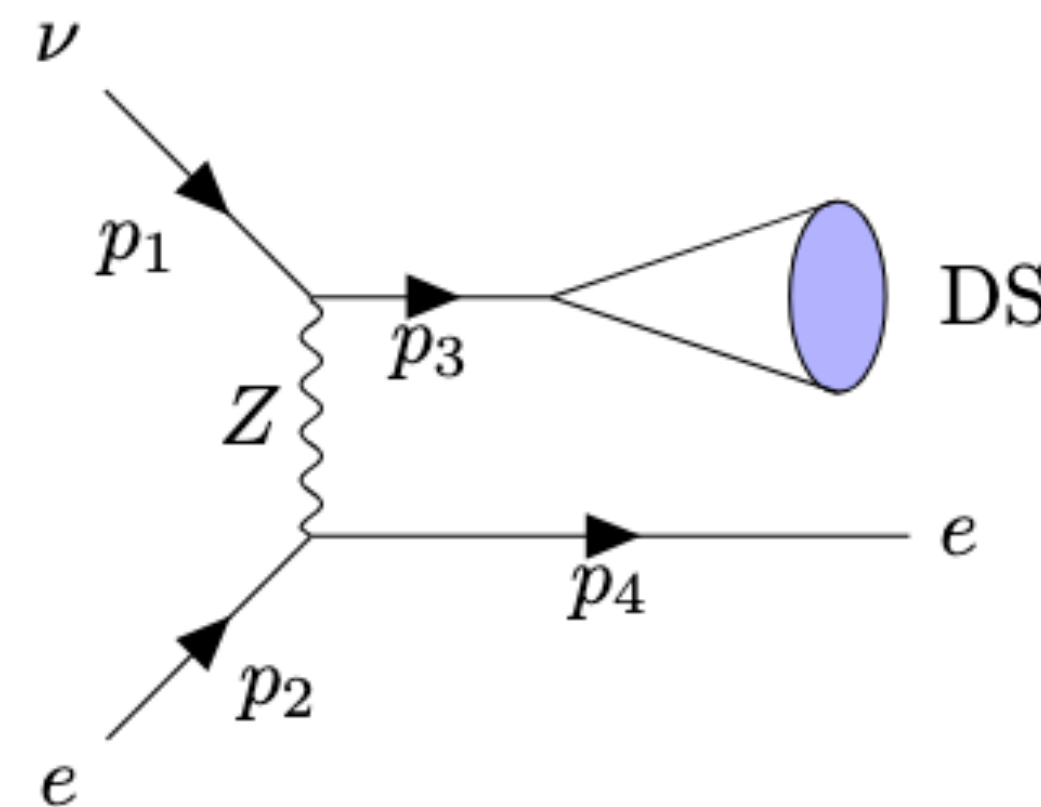
$$\Delta\mathcal{L}_N = \frac{y_\mu H L_\mu \mathcal{O}_N}{\Lambda_{UV}^{\Delta_N - 3/2}}$$

**the sterile neutrino gets replaced  
by an operator dimension  $\Delta_N$**

**$\Delta_N \geq 7$ : dark-jet on detector scales**

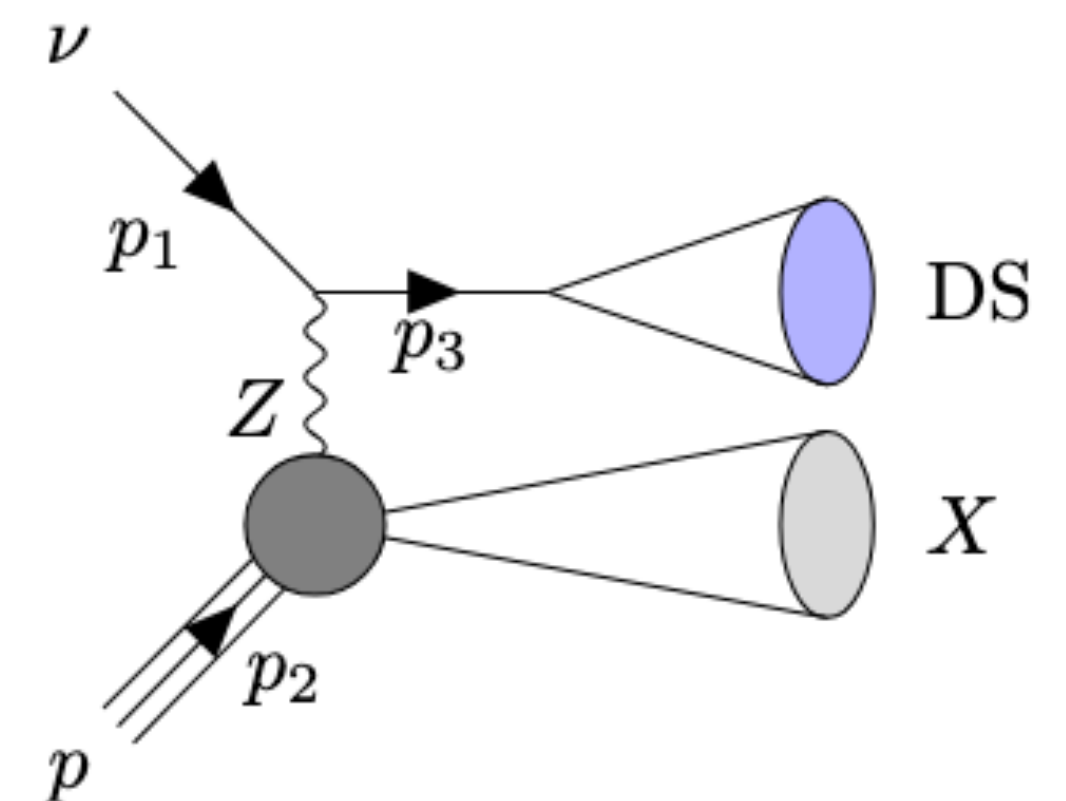
**New processes  
in neutral currents**

**Neutrino disintegration  
into a dark-jet**



$e - \nu$

**DIS scattering**

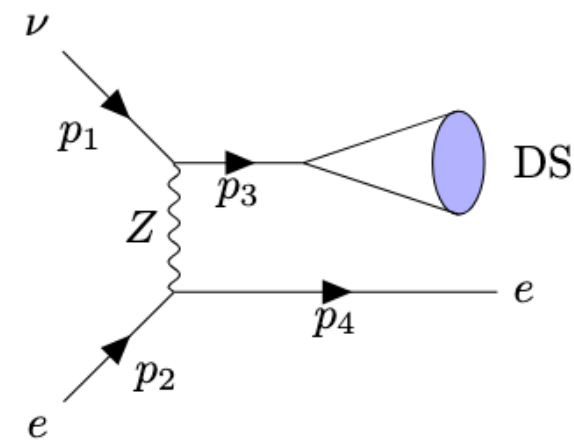


$e - N$

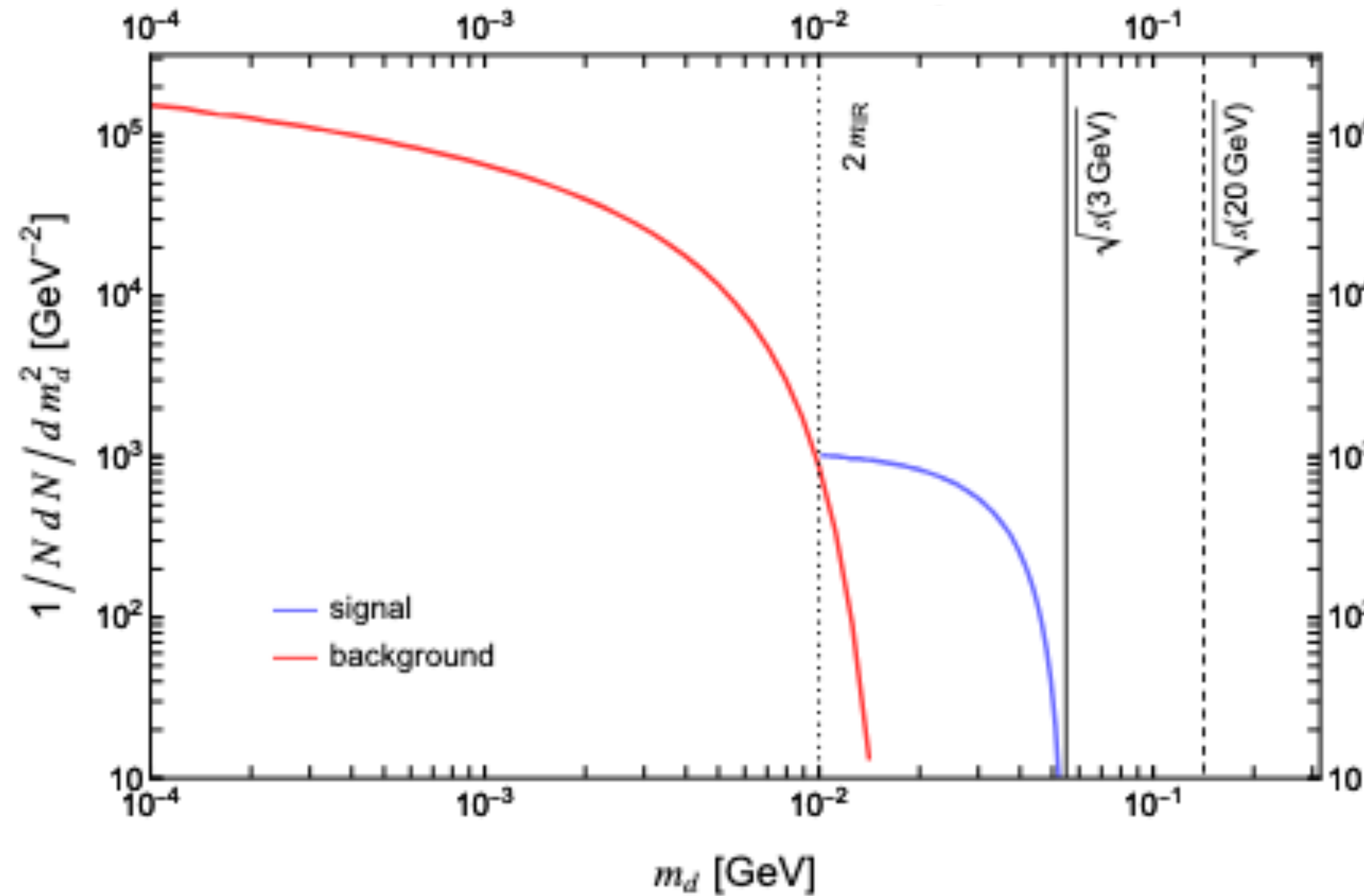
**2-DIS scattering**

# Distinguishing from the background

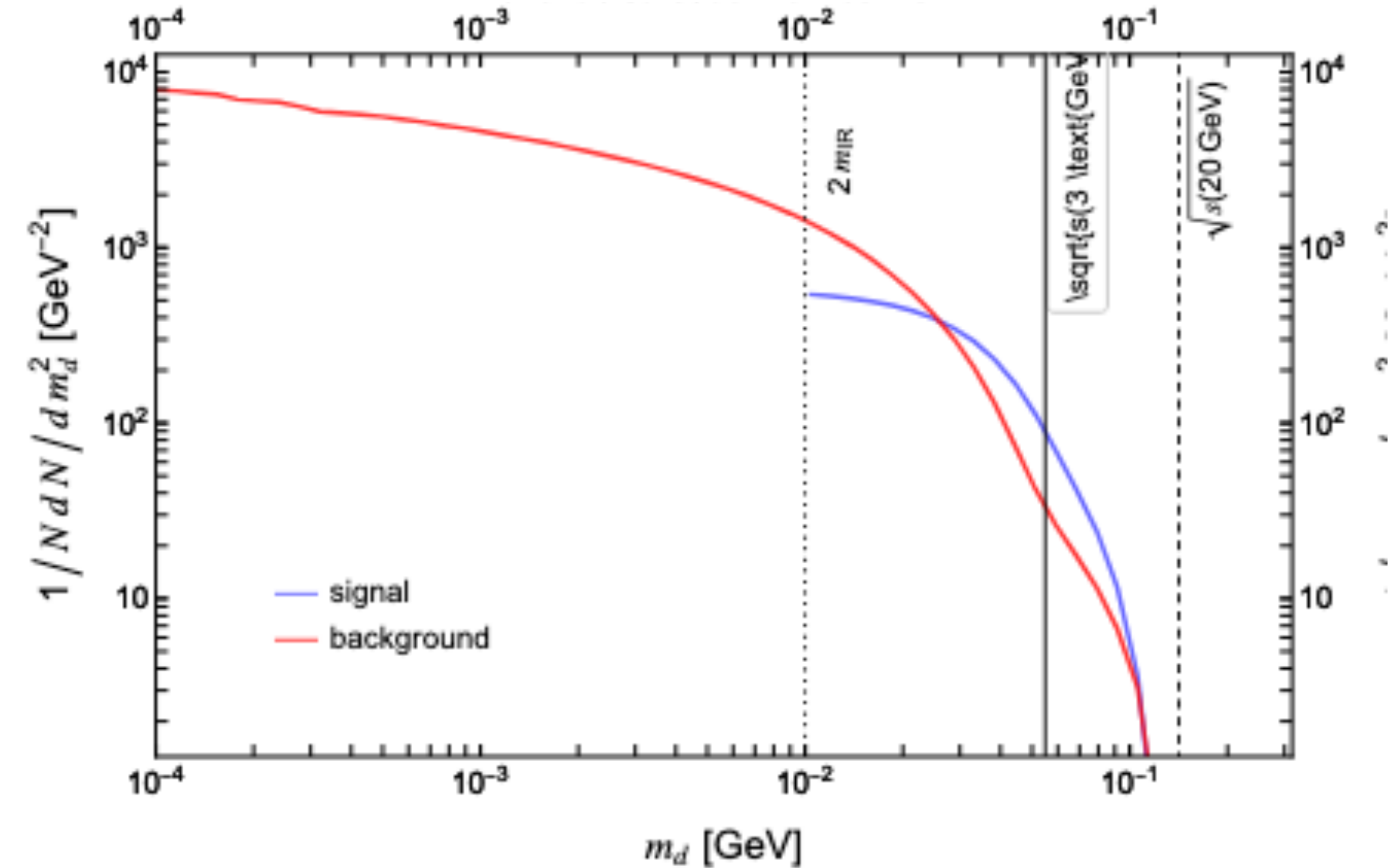
## Example: electron recoil



NARROW INCOMING NEUTRINO FLUX

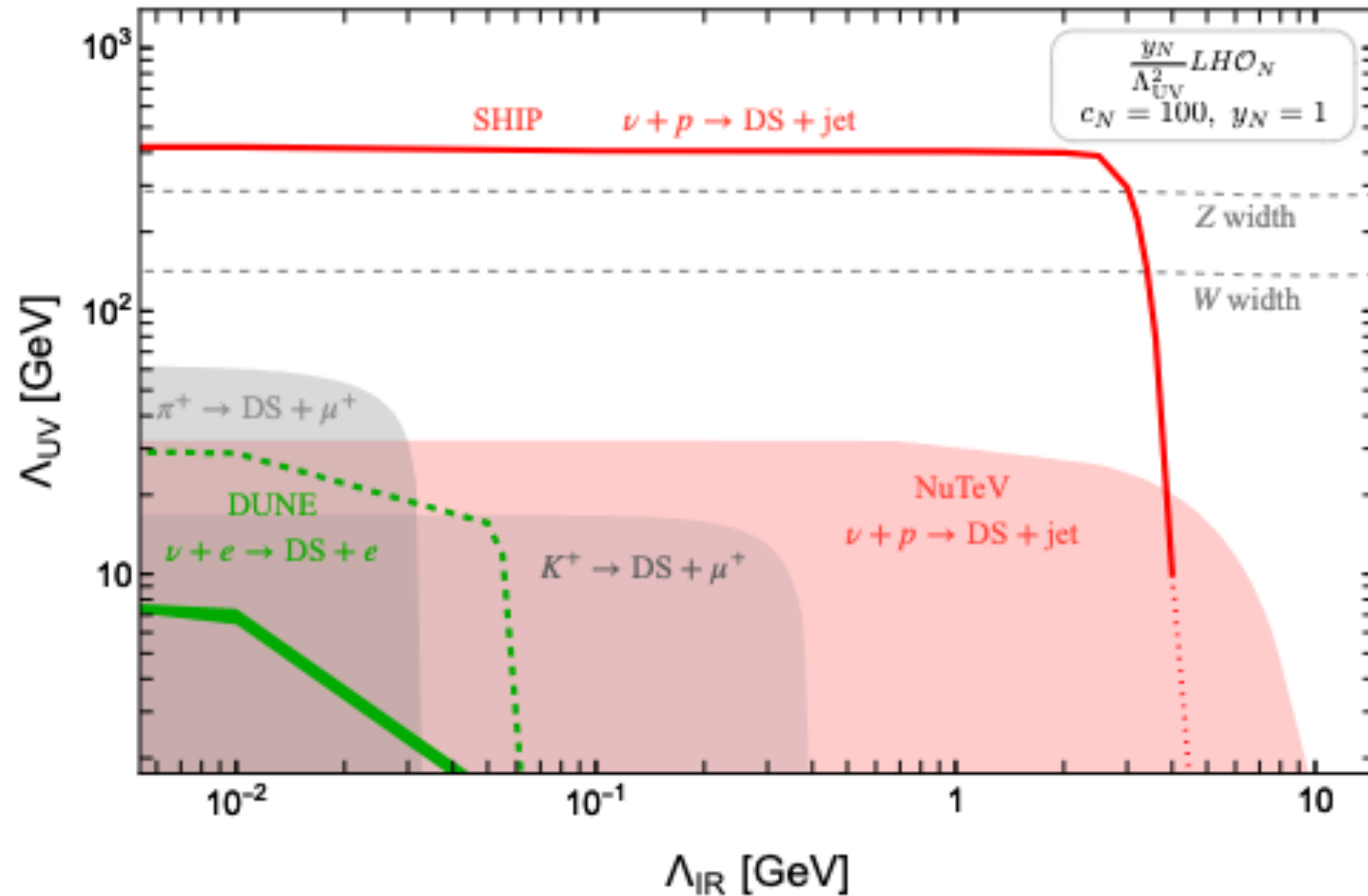


WIDE NEUTRINO FLUX (AS PLANNED @ DUNE)



**high missing mass tail in neutrino scattering!**

# Summary



$\nu - N$  recoils enhanced  
@ high missing mass

Novel constraint  
from existing NuTeV data  
Expected reach at SHIP  
surpasses EW invisible BR

Electron recoil subdominant  
because  $s = m_e E_\nu$  is small

# Dark Sectors at Flavor Factories



*LFV ALP @ MEG II & Mu3e*



*breaking SM accidental symm.*



*New resonances in muon decays*

*Standard freeze-out targets*



*Direct probe of neutrino compositeness*

*Thanks...*