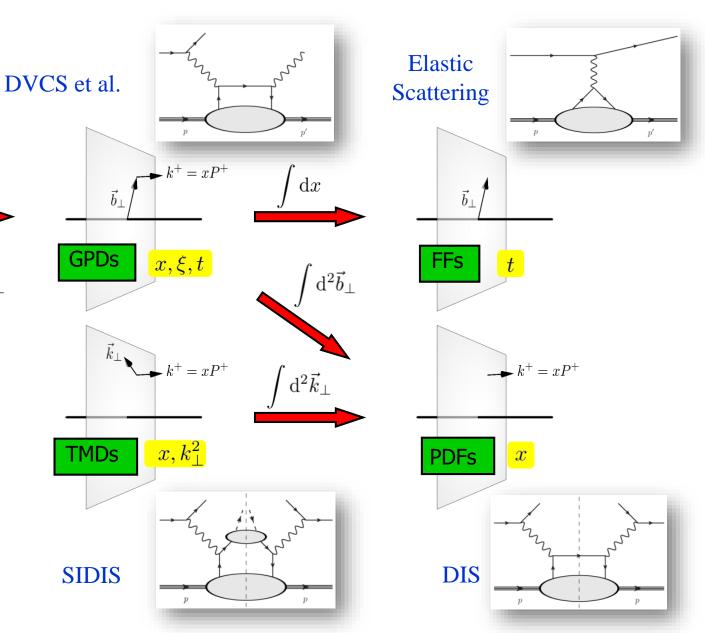




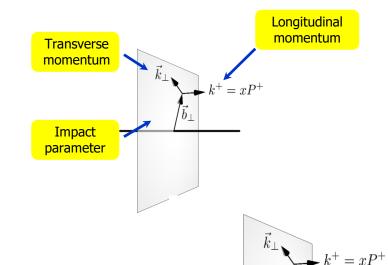


Longitudinal momentum Transverse momentum $= xP^+$ Impact parameter $k^+ = xP^+$ $\mathrm{d}^2 \vec{k}_\perp$ ${\rm d}^2\vec{b}_\perp$ GTMDs $(x, \xi, k_{\perp}^2, \vec{k}_{\perp} \cdot \vec{\Delta}_{\perp}, t)$

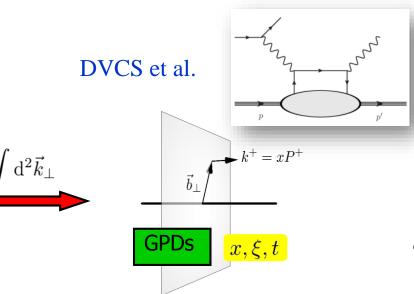
Multi-dimensional mapping of the nucleon



A complete picture of nucleon structure requires the measurement of all these distributions



Multi-dimensional mapping of the nucleon



Nucleon tomography

$$q(x,\mathbf{b}_{\perp}) = \int_{0}^{\infty} \frac{d^{2}\Delta_{\perp}}{(2\pi)^{2}} e^{i\Delta_{\perp}\mathbf{b}_{\perp}} H(x,0,-\Delta_{\perp}^{2})$$

$$\Delta q(x, \mathbf{b}_{\perp}) = \int_{0}^{\infty} \frac{d^{2} \Delta_{\perp}}{(2\pi)^{2}} e^{i\Delta_{\perp} \mathbf{b}_{\perp}} \widetilde{H}(x, 0, -\Delta_{\perp}^{2})$$

Generalized Parton Distributions:

GTMDs

 $(x, \xi, k_{\perp}^2, \vec{k}_{\perp} \cdot \vec{\Delta}_{\perp}, t)$

✓ fully correlated parton distributions in both **coordinate** and **longitudinal momentum** space

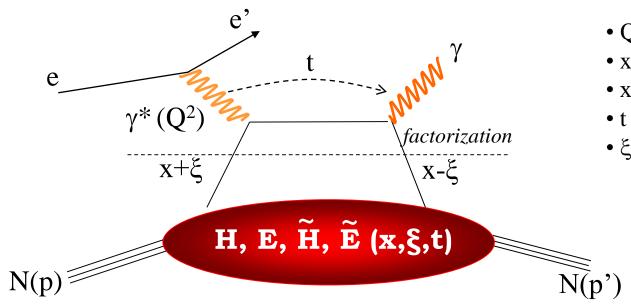
✓ linked to **FFs** and **PDFs**

✓ Accessible in exclusive reactions

Quark angular momentum (Ji's sum rule)

$$\frac{1}{2} \int_{-1}^{1} x dx (H(x, \xi, t = 0) + E(x, \xi, t = 0)) = J = \frac{1}{2} \Delta \Sigma + \Delta L$$

Deeply Virtual Compton Scattering and GPDs



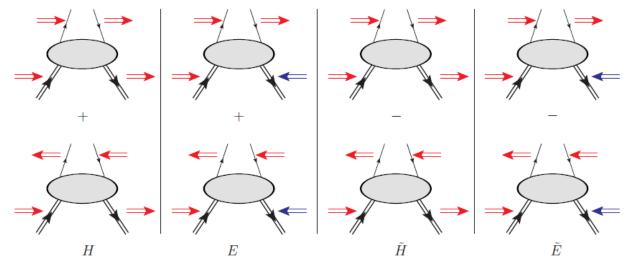
- $Q^2 = -(e-e')^2$
- $x_B = Q^2/2M\nu \quad \nu = E_e E_e$
- $x+\xi$, $x-\xi$ longitudinal momentum fractions
- $t = \Delta^2 = (p-p')^2$
- $\bullet \ \xi \cong x_B/(2\text{-}x_B)$

« **Handbag** » factorization, valid in the **Bjorken regime** (**high Q**² and ν , fixed x_B), $t << Q^2$

GPDs: Fourier transforms of non-local, non-diagonal QCD operators

4 GPDs for each quark flavor

(leading-order, leading twist, quark-helicity conservation)



Vector

Tensor

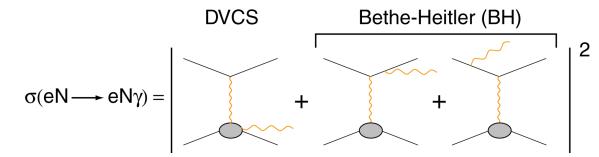
Axial-vector Ps.scalar

Accessing GPDs through DVCS

$$T^{DVCS} \sim P \int_{-1}^{+1} \frac{GPDs(x,\xi,t)}{x \pm \xi} dx \pm i\pi GPDs(\pm \xi,\xi,t) + \dots$$

$$Re\mathcal{H}_{q} = e_{q}^{2} P \int_{0}^{+1} \left(H^{q}(x, \xi, t) - H^{q}(-x, \xi, t) \right) \left[\frac{1}{\xi - x} + \frac{1}{\xi + x} \right] dx$$

$$Im\mathcal{H}_{q} = \pi e_{q}^{2} \left[H^{q}(\xi, \xi, t) - H^{q}(-\xi, \xi, t) \right]$$



Polarized beam, unpolarized target:

$$\Delta \sigma_{LU} \sim \sin \phi \operatorname{Im} \{F_1 \mathcal{H} + \xi (F_1 + F_2) \widetilde{\mathcal{H}} - kF_2 \mathcal{E} + ... \}$$

Unpolarized beam, longitudinal target:

$$\Delta \sigma_{\text{UL}} \sim \frac{1}{\sin \phi} \text{Im} \{F_1 \tilde{\mathcal{H}} + \xi (F_1 + F_2)(\mathcal{H} + x_B/2\mathcal{E}) - \xi k F_2 \tilde{\mathcal{E}}\}$$

Polarized beam, longitudinal target:

$$\Delta \sigma_{LL} \sim (A + B\cos\phi) Re\{F_1 \tilde{\mathcal{H}} + \xi(F_1 + F_2)(\mathcal{H} + x_B/2\mathcal{E}) + ...\}$$

Unpolarized beam, transverse target:

$$\Delta \sigma_{\text{UT}} \sim \cos \phi \sin(\phi_s - \phi) \text{Im} \{ k(F_2 \mathcal{H} - F_1 \mathcal{E}) + \dots \}$$

Proton Neutron

$$Im\{\mathcal{H}_{\mathbf{p}}, \widetilde{\mathcal{H}}_{\mathbf{p}}, \mathcal{E}_{\mathbf{p}}\}$$

 $Im\{\mathcal{H}_{\mathbf{p}}, \widetilde{\mathcal{H}}_{\mathbf{p}}, \mathcal{E}_{\mathbf{n}}\}$

$$Im\{\mathcal{H}_{\!\!\mathbf{p}},\,\widetilde{\mathcal{H}}_{\!\!\mathbf{p}}\}$$

$$Im\{\mathcal{H}_{\mathbf{n}}, \mathcal{E}_{\mathbf{n}}\}$$

$$Re\{\mathcal{H}_{\mathbf{p}},\,\widetilde{\mathcal{H}}_{\mathbf{p}}\}$$

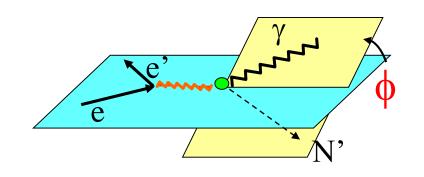
$$Re\{\mathcal{H}_{\mathbf{n}}, \mathcal{E}_{\mathbf{n}}\}$$

$$Im\{\mathcal{H}_{\mathbf{p}}, \mathcal{E}_{\mathbf{p}}\}$$

$$Im\{\mathcal{H}_{\mathbf{n}}\}$$

$$\sigma \sim \left| T^{DVCS} + T^{BH} \right|^{2}$$

$$\Delta \sigma = \sigma^{+} - \sigma^{-} \propto I(DVCS \cdot BH)$$

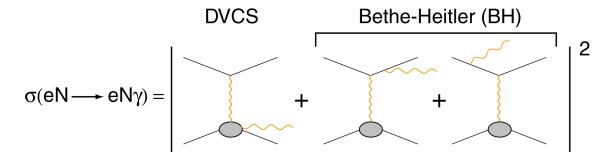


Accessing GPDs through DVCS

$$T^{DVCS} \sim P \int_{-1}^{+1} \frac{GPDs(x,\xi,t)}{x \pm \xi} dx \pm i\pi GPDs(\pm \xi,\xi,t) + \dots$$

$$Re\mathcal{H}_{q} = e_{q}^{2} P \int_{0}^{+1} \left(H^{q}(x, \xi, t) - H^{q}(-x, \xi, t) \right) \left[\frac{1}{\xi - x} + \frac{1}{\xi + x} \right] dx$$

$$Im\mathcal{H}_{q} = \pi e_{q}^{2} \left[H^{q}(\xi, \xi, t) - H^{q}(-\xi, \xi, t) \right]$$



$$\Delta \sigma_{LU} \sim \frac{\sin \phi}{\pi} \operatorname{Im} \{F_1 \mathcal{H} + \xi (F_1 + F_2) \mathcal{H} - kF_2 \mathcal{E} + \dots \}$$

Unpolarized beam, longitudinal target:

$$\Delta \sigma_{\text{UL}} \sim \frac{1}{\sin \phi} \text{Im} \{F_1 \tilde{\mathcal{H}} + \xi (F_1 + F_2)(\mathcal{H} + x_B/2\mathcal{E}) - \xi k F_2 \tilde{\mathcal{E}}\}$$

Polarized beam, longitudinal target:

$$\Delta \sigma_{LL} \sim (A + B \cos \phi) Re\{F_1 \tilde{\mathcal{H}} + \xi(F_1 + F_2)(\mathcal{H} + x_B/2\mathcal{E}) + ...\}$$

Unpolarized beam, transverse target:

$$\Delta \sigma_{\text{UT}} \sim \cos \phi \sin(\phi_s - \phi) \text{Im} \{ k(F_2 \mathcal{H} - F_1 \mathcal{E}) + \dots \}$$

Proton Neutron

$$Im\{\mathcal{H}_{\mathbf{p}}, \widetilde{\mathcal{H}}_{\mathbf{p}}, \mathcal{E}_{\mathbf{p}}\}\$$

$$Im\{\mathcal{H}_{n},\,\widetilde{\mathcal{H}}_{n},\,\boldsymbol{\mathcal{E}_{n}}\}$$

$$Im\{\mathcal{H}_{\mathbf{p}}, \tilde{\mathcal{H}}_{\mathbf{p}}\}$$

$$Im\{\mathcal{H}_{\mathbf{n}}, \mathcal{E}_{\mathbf{n}}\}$$

$$Re\{\mathcal{H}_{\mathbf{p}}, \widetilde{\mathcal{H}}_{\mathbf{p}}\}$$

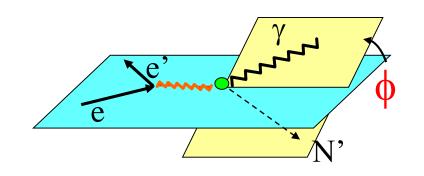
$$Re\{\mathcal{H}_{\mathbf{n}}, \mathcal{E}_{\mathbf{n}}\}$$

$$Im\{\mathcal{H}_{\mathbf{p}}, \mathcal{E}_{\mathbf{p}}\}$$

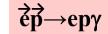
$$Im\{\mathcal{H}_{\mathbf{n}}\}$$

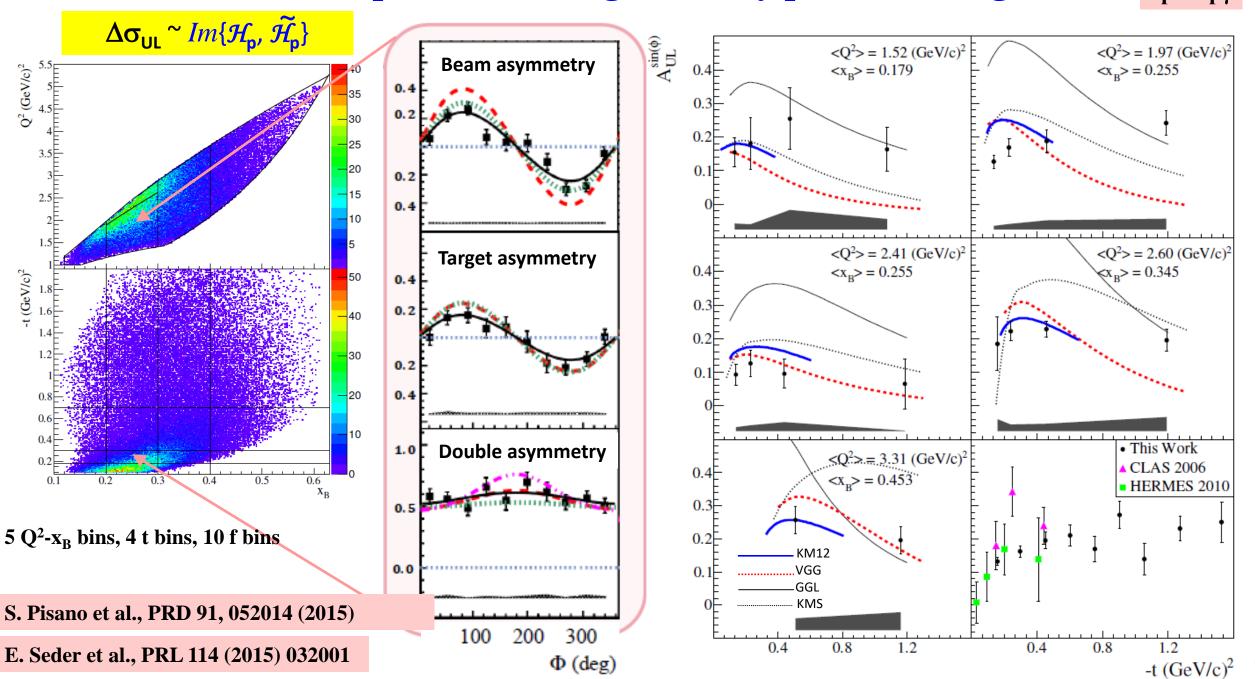
$$\sigma \sim \left| T^{DVCS} + T^{BH} \right|^{2}$$

$$\Delta \sigma = \sigma^{+} - \sigma^{-} \propto I(DVCS \cdot BH)$$



CLAS: pDVCS on longitudinally polarized target





Extraction of CFFs from CLAS TSA, BSA, DSA

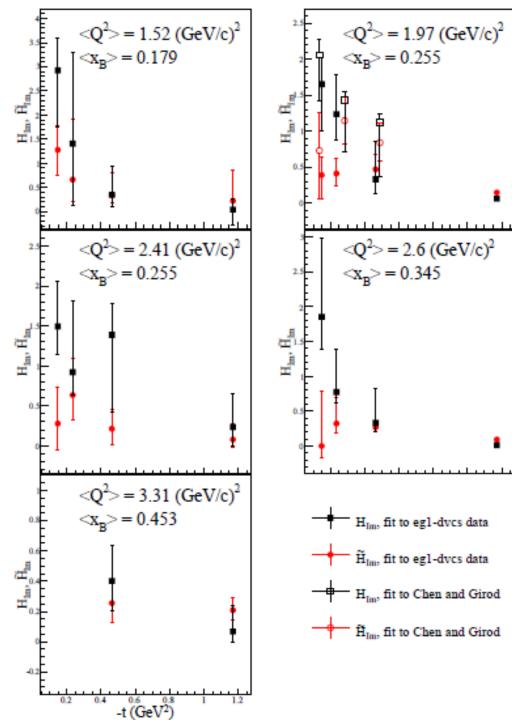
CFFs fitting code by M. Guidal (7 CFFs)

Im \mathcal{H} has steeper t-slope than $Im\widetilde{\mathcal{H}}$: the axial charge is more "concentrated" than the electric charge \rightarrow PROTON TOMOGRAPHY

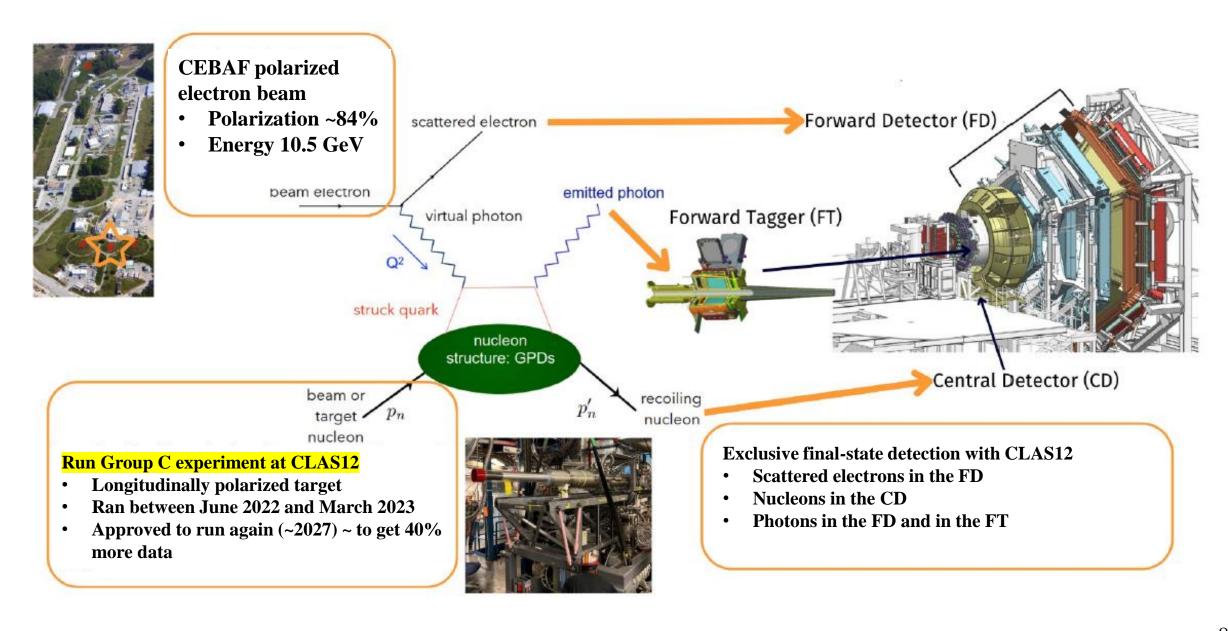
$$\Delta q(x, \mathbf{b}_{\perp}) = \int_{0}^{\infty} \frac{d^{2} \Delta_{\perp}}{(2\pi)^{2}} e^{i\Delta_{\perp} \mathbf{b}_{\perp}} \widetilde{H}(x, 0, -\Delta_{\perp}^{2})$$

$$\int H(x, \xi, t) dx = F_{1}(t)$$

$$\int \widetilde{H}(x, \xi, t) dx = G_{A}(t)$$

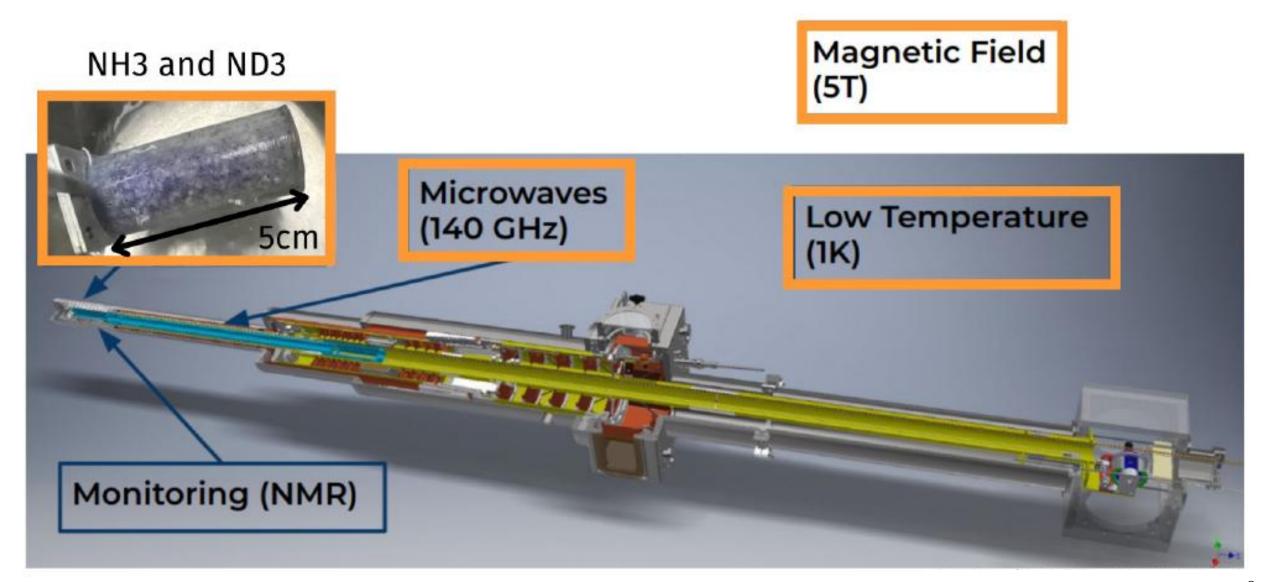


DVCS with longitudinally polarized NH3 and ND3 targets at CLAS12



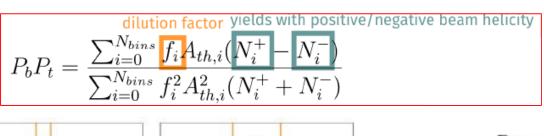
The RGC longitudinally polarized target

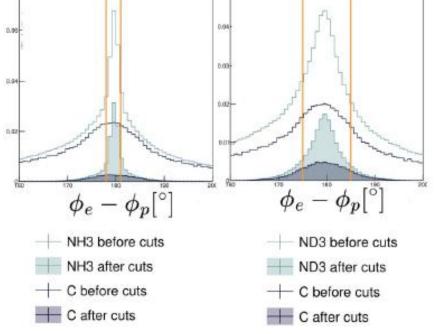


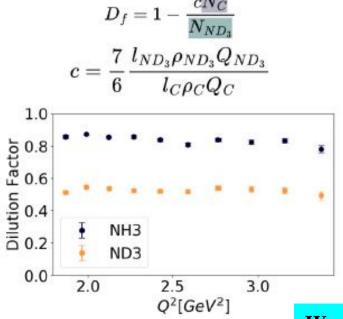


Target polarization measurement with elastic scattering

- Elastic (ep \rightarrow e'p') double spin asymmetry: $A_{th} = \frac{2\tau G\left[\frac{M_p}{E_b} + G\left(\tau \frac{M_p}{E_b} + (1+\tau)\tan(\frac{\theta}{2})^2\right)\right]}{1+G^2\frac{\tau}{E}}$ $G = \frac{G_M}{G_E}$ $\tau = Q^2/(4M^2)$
- Product of the beam and target polarizations: $P_b P_t = \frac{A_{meas}}{A_{th}}$
- It is measured for each orientation of the target polarization, integrating over the whole experiment to have enough statistics





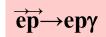


Preliminary

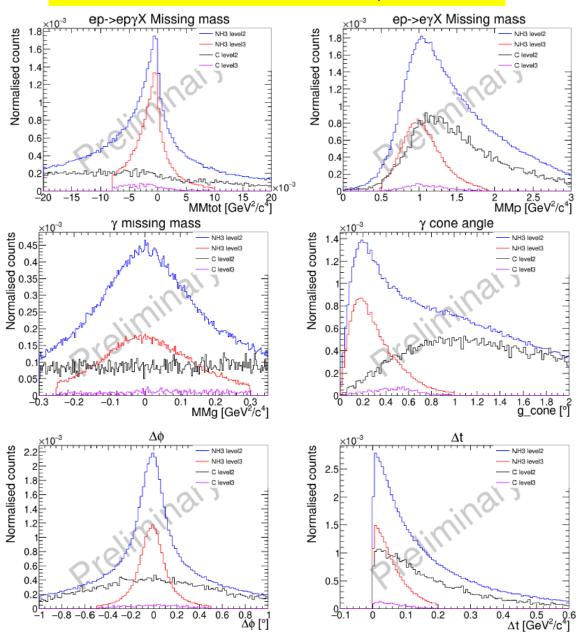
Target	P_bP_t
NH3+	0.71±0.03
NH3-	-0.66±0.03
ND3+	0.20±0.03
ND3-	-0.14±0.04
5 000 000	

 $P_b = 82.6 \pm 2.0\%$

pDVCS on longitudinally polarized NH3 target: analysis



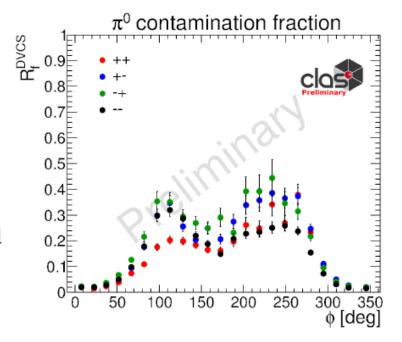
Exclusivity cuts to select the epy final state

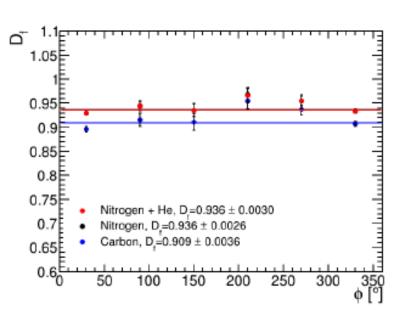


Work by S. Polcher

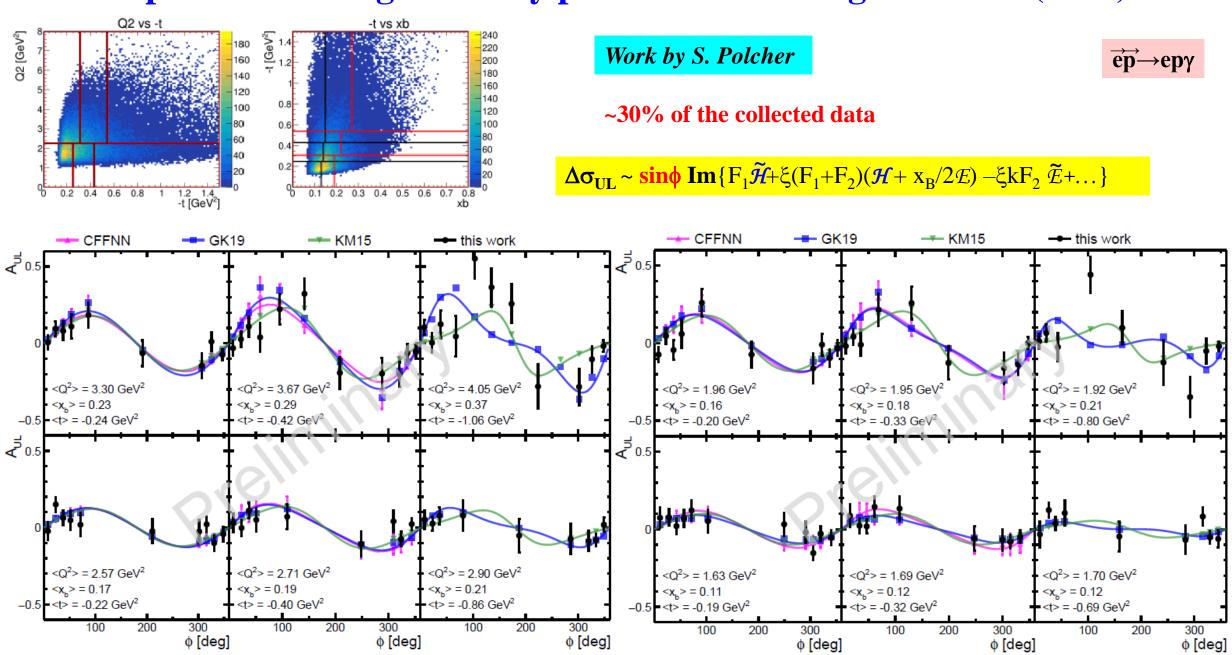
In spite of the several exclusivity cuts, leftover contaminations from exclusive π^0 events and from events coming from unpolarized nitrogen remain.

Correction factors for these contaminations are evaluated and included in the asymmetries

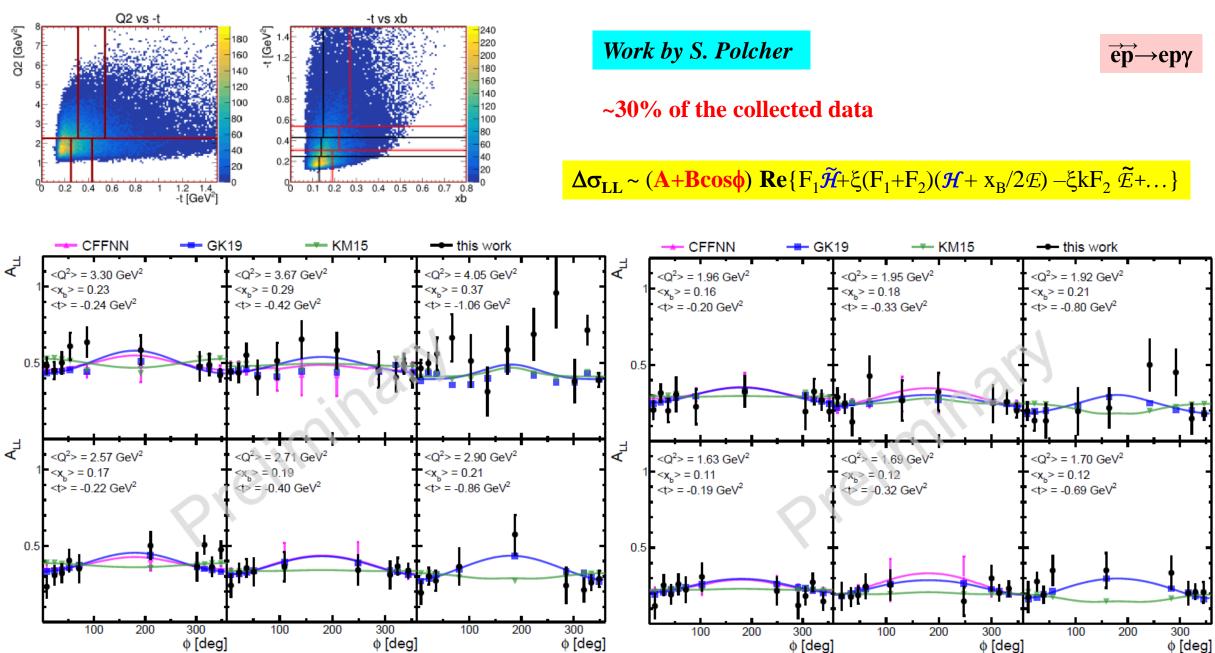




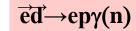
pDVCS on longitudinally polarized NH3 target: results (TSA)

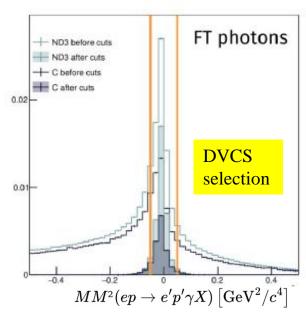


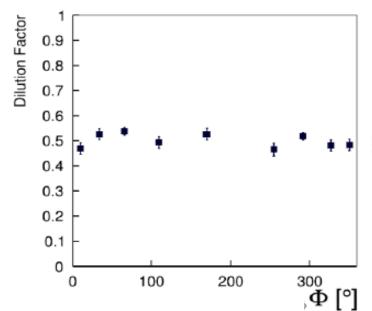
pDVCS on longitudinally polarized NH3 target: results (DSA)

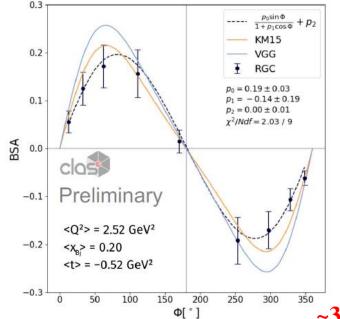


pDVCS on longitudinally polarized ND3 target



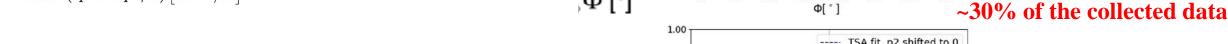


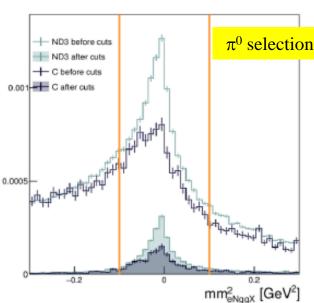


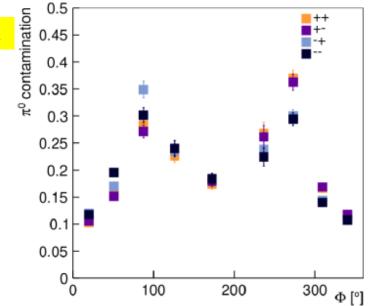


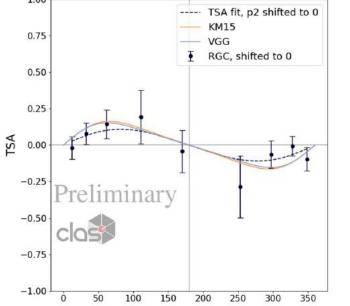
BSA does not account for the N background

 Dilution factor is 50%: contribution from bound protons in N must be considered







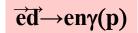


Φ[°]

Very preliminary **TSA**

- Shift under study
- Fairly good agreement with models for free proton

nDVCS on longitudinally polarized ND3 target

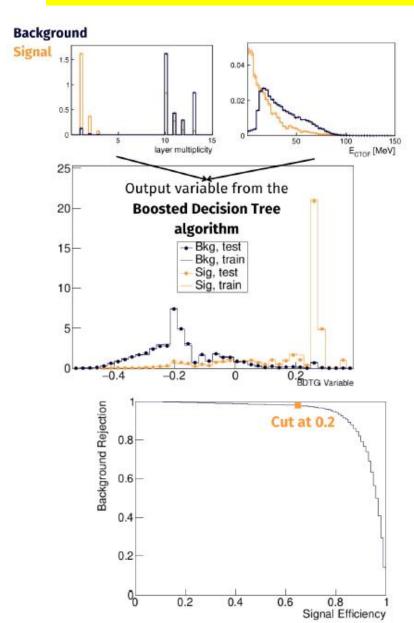


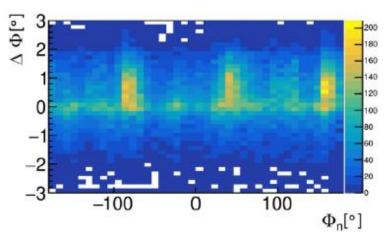
300

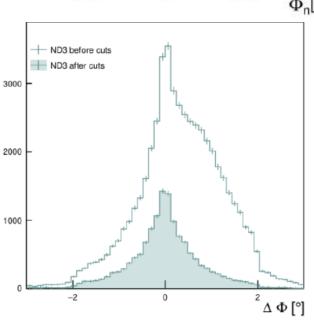
350

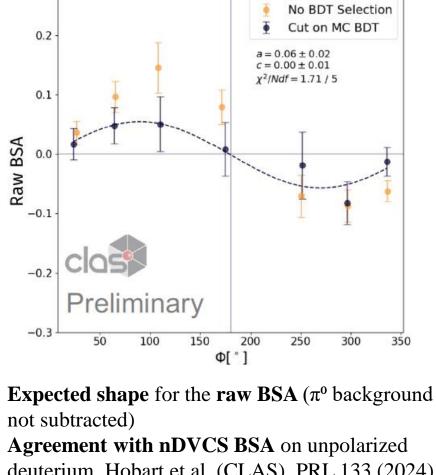
---- asin Φ + c

Contamination from **protons misidentified as neutrons** – suppressed using **ML**







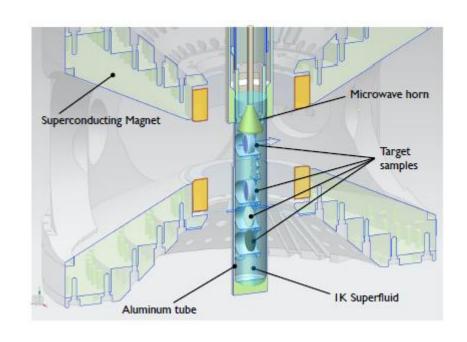


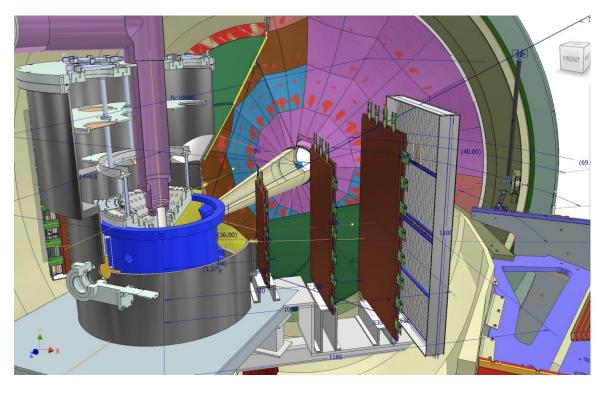
0.3

- Agreement with nDVCS BSA on unpolarized deuterium, Hobart et al. (CLAS), PRL 133 (2024) (see Adam's talk today in Workshop 1)
- Insufficient statistics for TSA and DSA for now
 - The remainder of the dataset needs to be analyzed

In preparation: pDVCS on transversely polarized target with CLAS12

Transversely polarized target for CLAS12 under development





- The original idea to use a frozen-spin polarized HD target will not work (beam-induced depolarization)
- An alternative approach, **dynamically polarized NH3** at 5T/1K is expected to work well
- A new magnet design is being studied, to maximize the acceptance and to properly fit in CLAS12
- A **chicane of magnets** will be necessary to compensate the bending of the beam electrons by the holding magnet
- A recoil detector to compensate the lack of Central Detector is being designed (3 layers of μRwell + 1 scintillator panel)
- Proposal (DVCS+SIDIS) **recently approved** by PAC53 (July 2025) with A rating, will run in ~3-4 years

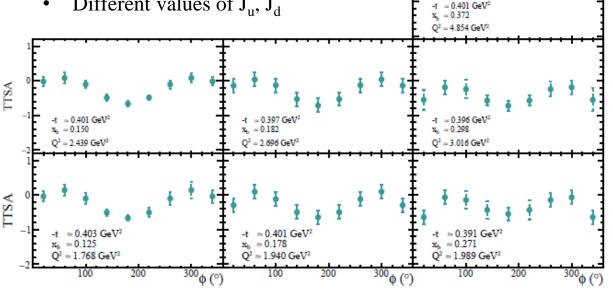
In preparation: pDVCS on transversely polarized target with CLAS12

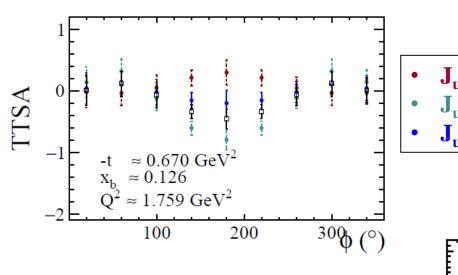


pDVCS on a transverse target is complementary to nDVCS for its sensitivity to the GPD E

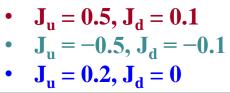
Projections for pDVCS

- 100 days of beam time
- $L = 5 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$
- 252 bins in (Q^2 , x_B , -t, ϕ)
- VGG model
- Different values of J_u, J_d

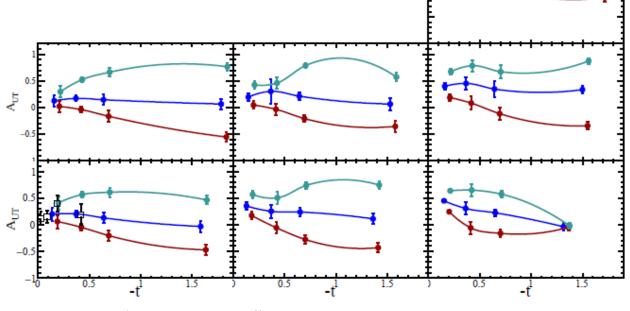




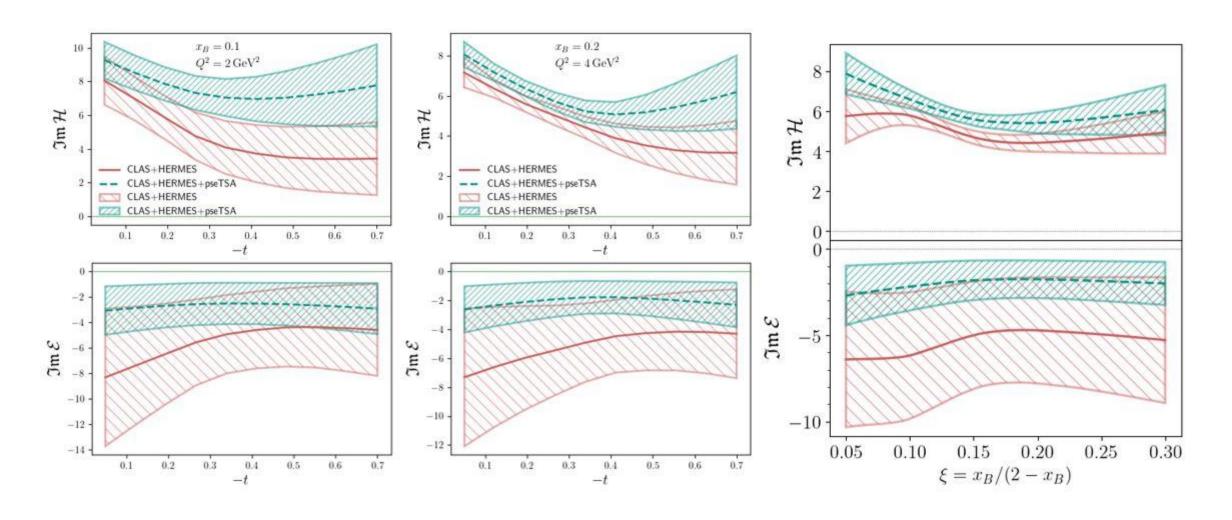
 $\overrightarrow{e}p$ $\rightarrow ep\gamma$



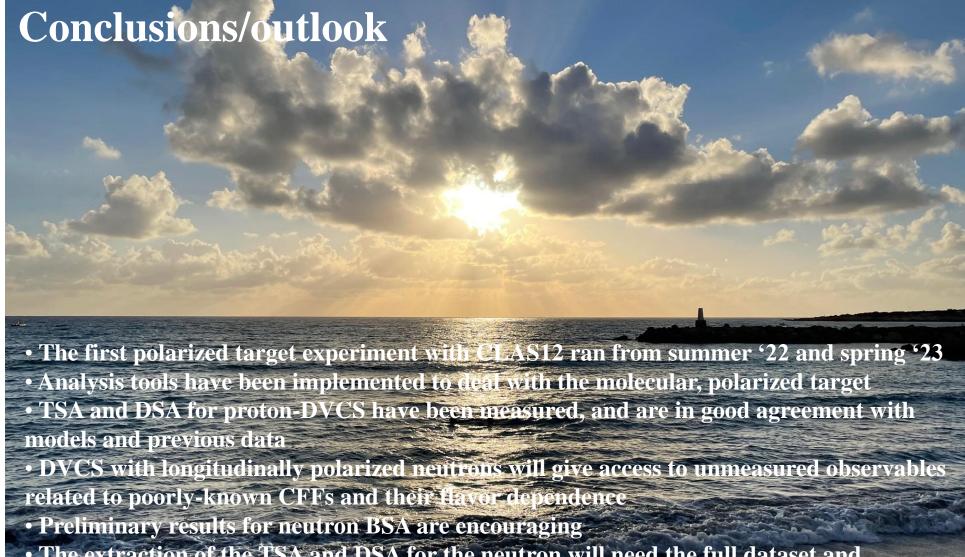
•
$$J_{u} = 0.2, J_{d} = 0$$



Impact of projected pDVCS TTSA from CLAS12 on CFF extraction



Uncertainty on $Im\mathcal{E}$ will be reduced by a factor of ~3



- The extraction of the TSA and DSA for the neutron will need the full dataset and refinement of the analysis techniques
- More results to come with the other two thirds of the dataset available very soon
- The recently approved CLAS12 experiment with transversely polarized target will allow to extract TTSA for pDVCS, which will provide a unique access to the GPD E of the proton