



UNIVERSITÀ
DI PAVIA

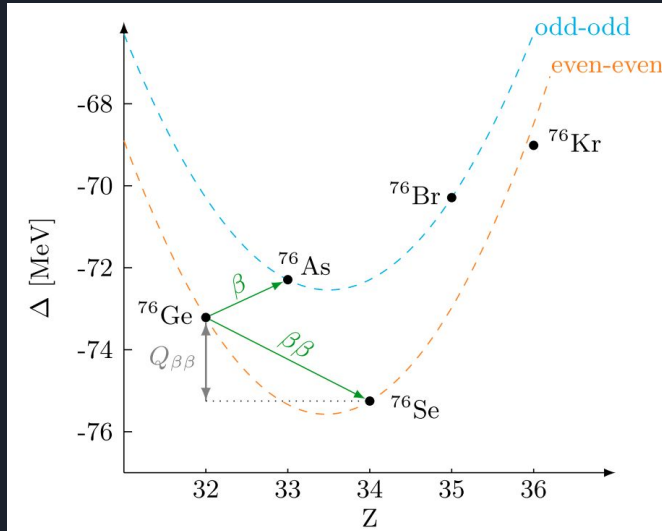
22nd SEMINAR ON
SOFTWARE
FOR NUCLEAR,
SUBNUCLEAR AND
APPLIED PHYSICS

MANENTI
Nicola



Istituto Nazionale di Fisica Nucleare

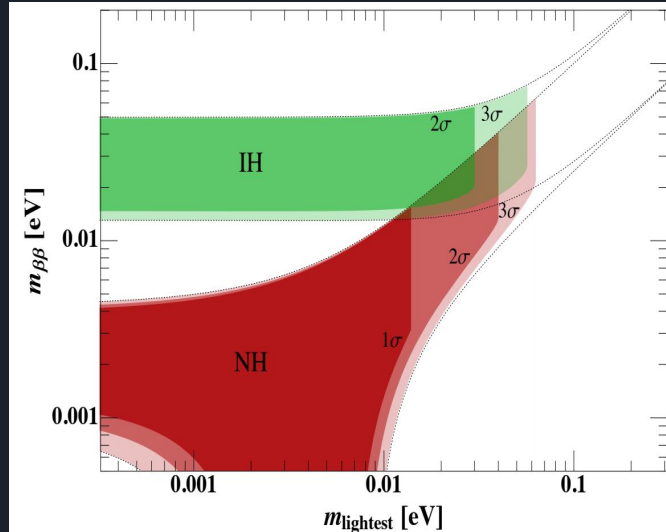
Neutrinoless double beta decay ($0\nu\beta\beta$)



Neutrinoless double-beta decay ($0\nu\beta\beta$) is a beyond Standard Model process :

1. $\bar{\nu} \equiv \nu$
→ Neutrino Nature as Majorana particle
2. $(A, Z) \rightarrow (A, Z+2) + 2e^-$
→ Leptogenesis ($\Delta L=2$)
3. $T_{1/2}^{0\nu} \propto G^{0\nu} \cdot |M^{0\nu}|^2 \cdot \left(\frac{m_{\beta\beta}}{m_e}\right)^2$
→ Neutrino mass scaling and ordering

Neutrinoless double beta decay ($0\nu\beta\beta$)



- $G^{0\nu}$ is the phase space factor
- $M^{0\nu}$ is the Nuclear Matrix Element
- $m_{\beta\beta}$ is the Majorana mass

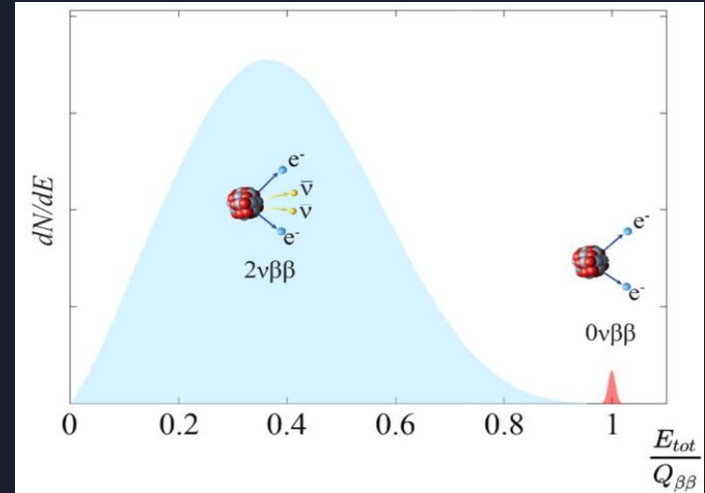
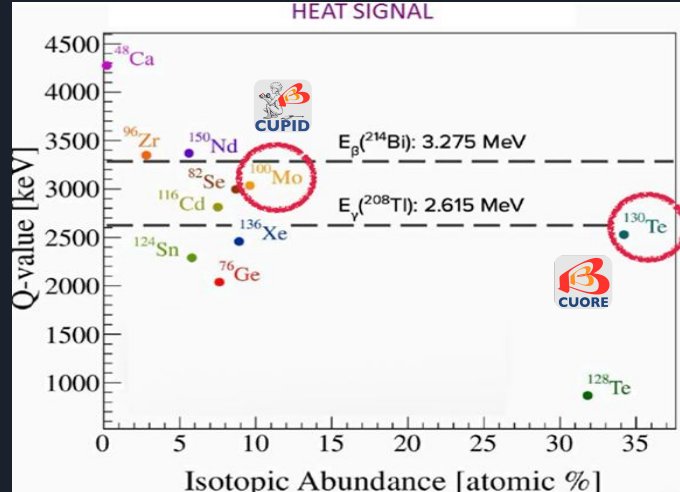
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Neutrinoless double beta decay ($0\nu\beta\beta$)

Only the energy associated to the β particles can be reconstructed

- $Q_{\beta\beta}$ of few MeV
- $2\nu\beta\beta$: continuous spectrum till $Q_{\beta\beta}$
- $0\nu\beta\beta$: monoenergetic peak at $Q_{\beta\beta}$



Typical Backgrounds

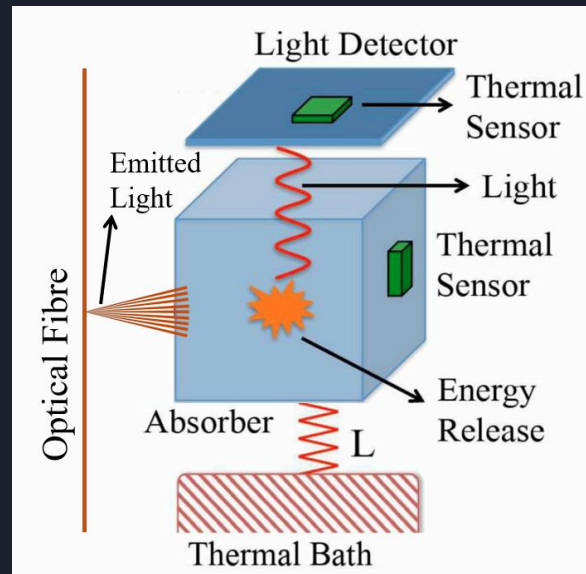
- End of natural γ -background
- Energy-degraded α particles
- Irreducible $2\nu\beta\beta$ background



The CUPID experiment

CUORE **U**pgraded with **P**article **I**Dentification searches for the $0\nu\beta\beta$ decay of ^{100}Mo ($Q_{\beta\beta} = 3034 \text{ keV}$)

- Underground experiment (LNGS, Italy)
- Cryogenic temperatures $O(10 \text{ mK})$
- Bolometric technique
- Double readout of heat and light signal
- ~ 1600 crystals of 280g each





Light Injection System

A system capable to inject light pulses of a given wavelength to be absorbed by a group of LDs.

**OUTSIDE THE
CRYOSTAT**

- **light source**
- **optical fibre with feedthrough**
- **diffusive fibre**

TO BOLOMETERS

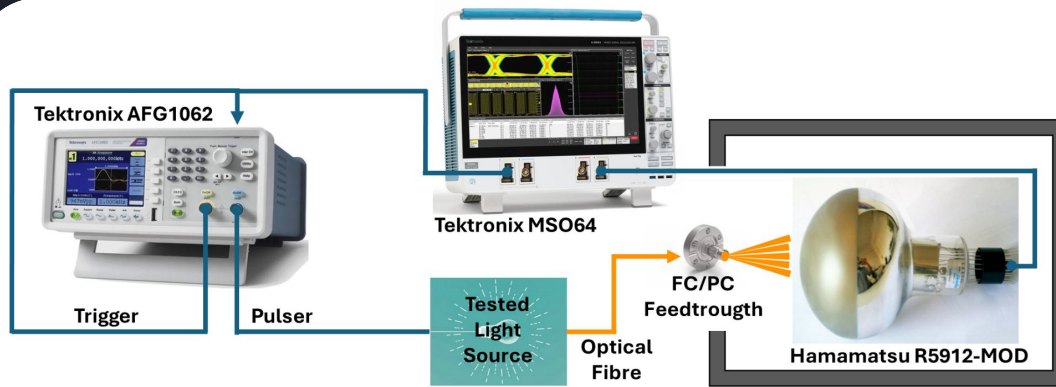
APPLICATIONS

- Pile-up ID efficiency monitoring
- LD periodic regeneration
- LD Stabilisation

REQUIREMENTS

- Multichannel
- Wavelength
- Pulse width
- Stable pulses
- Negligible impact on cryogenics
- Contribution to the background budget as small as possible
- DAQ interface

Feasibility Test at Pavia



Several test possible with a simple setup:

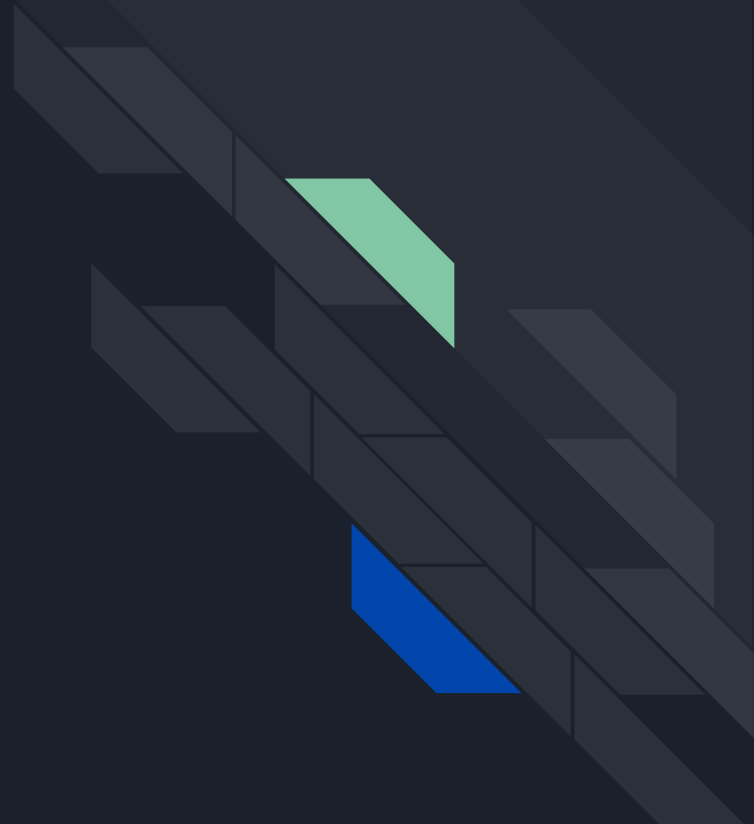
- Thermal stress on the optical fibre (from room temperature down to 77K)
- Light source candidates
- Pulse generation mechanism
- Photo statistics

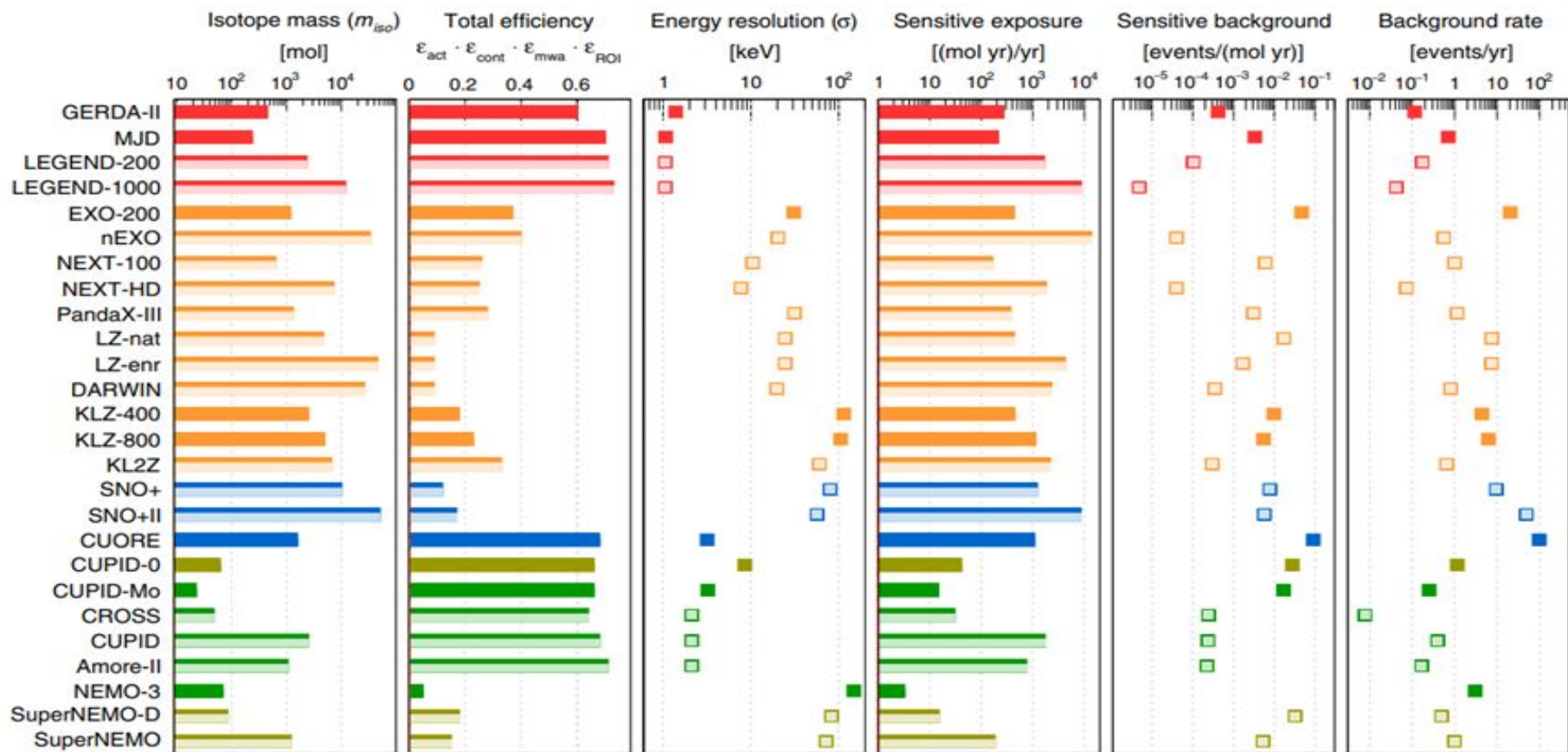
Validation test
at LNGS with a
single tower
(28 crystals)

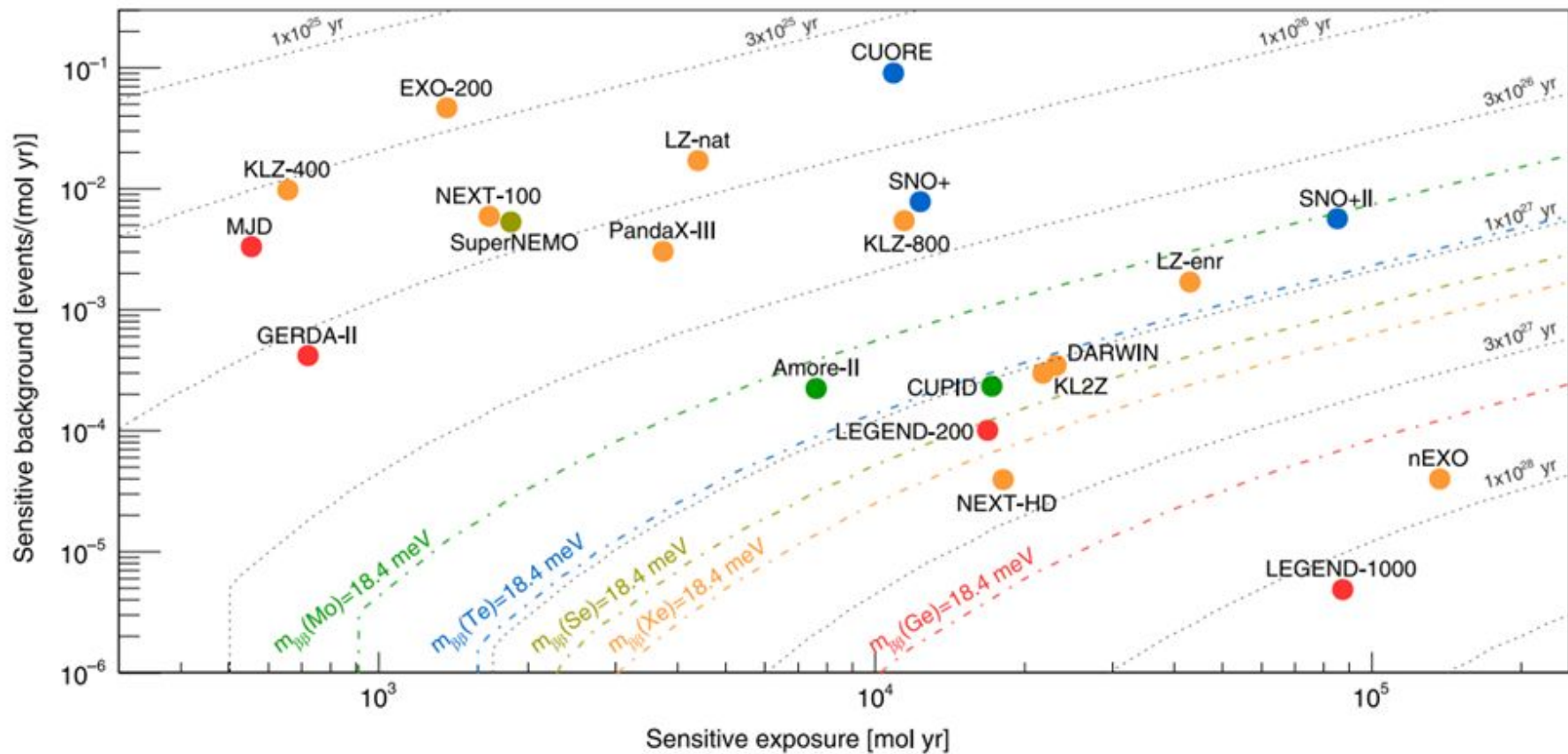
← To Be Continued

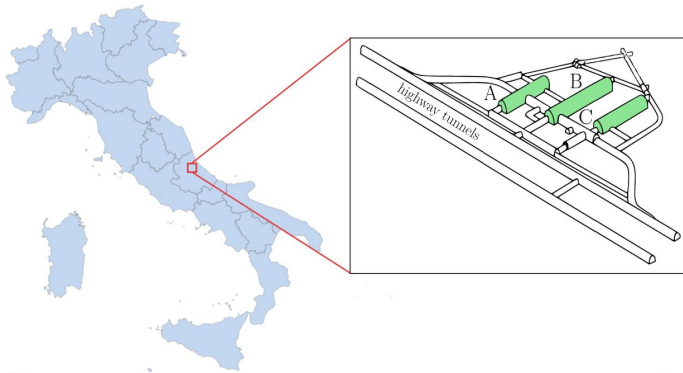


QUESTIONS ?







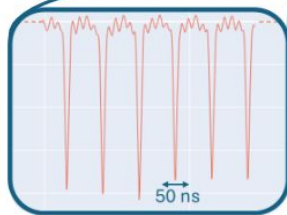
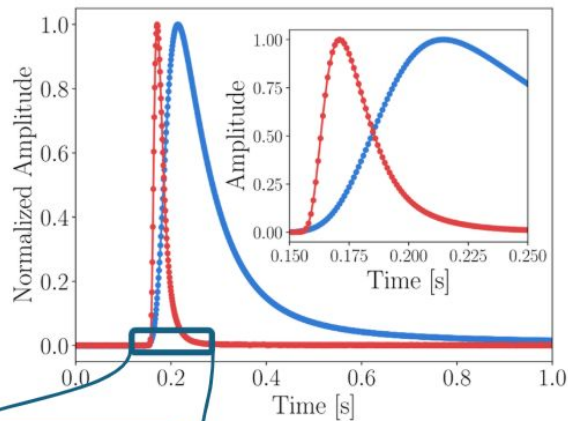
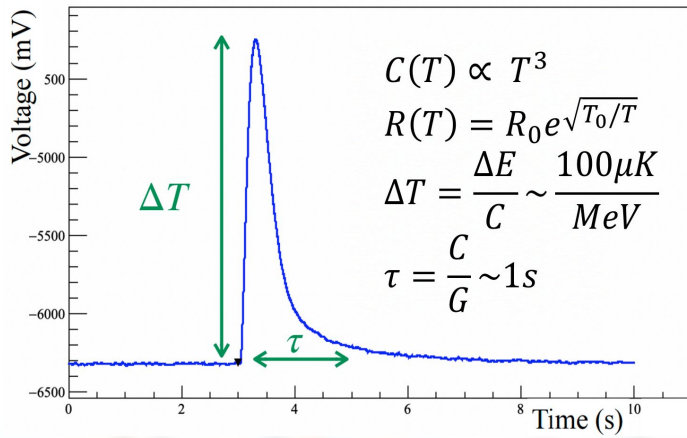


Average depth ~ 3600 m.w.e.

μ flux: $3 \times 10^{-8} \mu/\text{s}/\text{cm}^2$

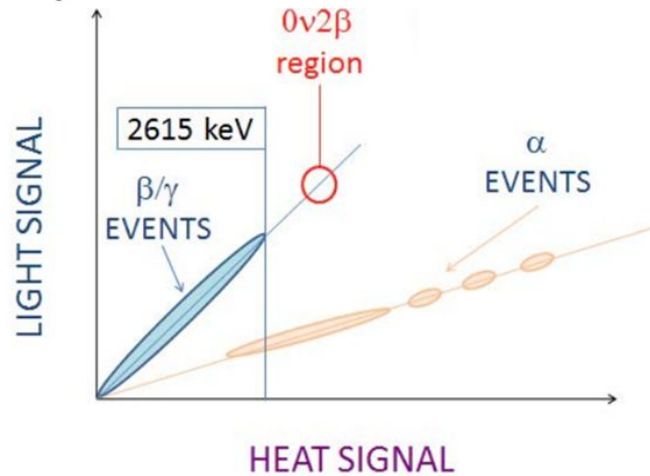
n flux: $4 \times 10^{-6} \text{ n}/\text{s}/\text{cm}^2 < 10 \text{ MeV}$

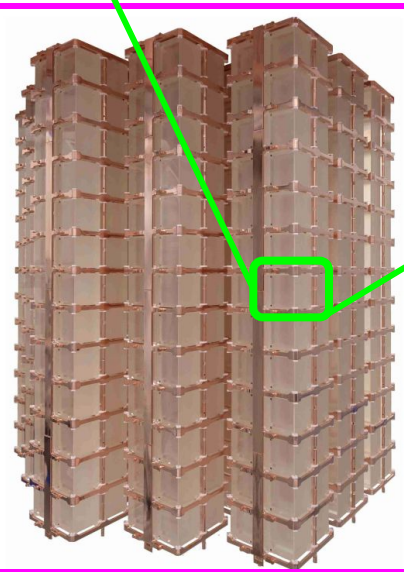
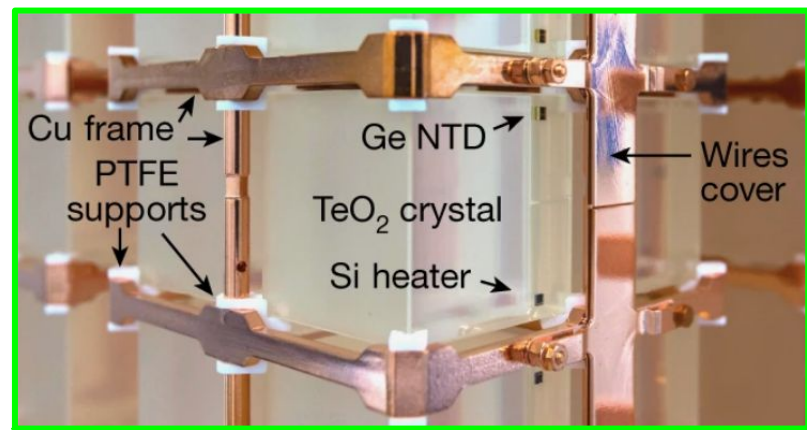
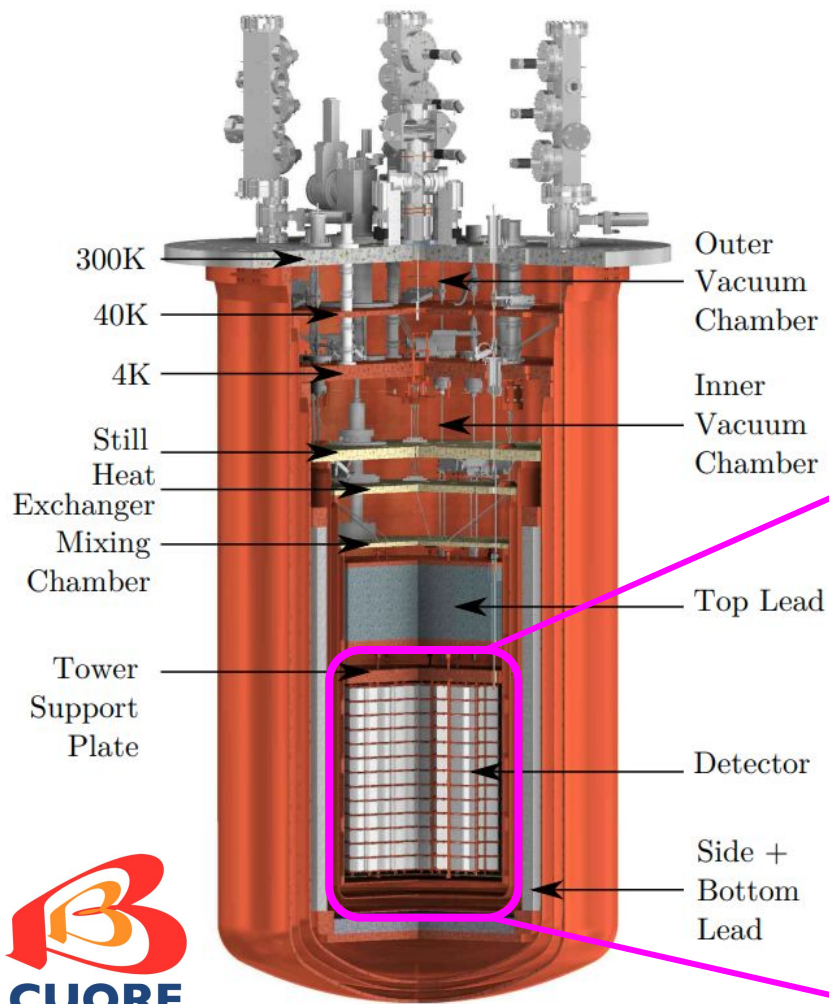
γ flux: $\sim 0.73 \gamma/\text{s}/\text{cm}^2 < 3 \text{ MeV}$

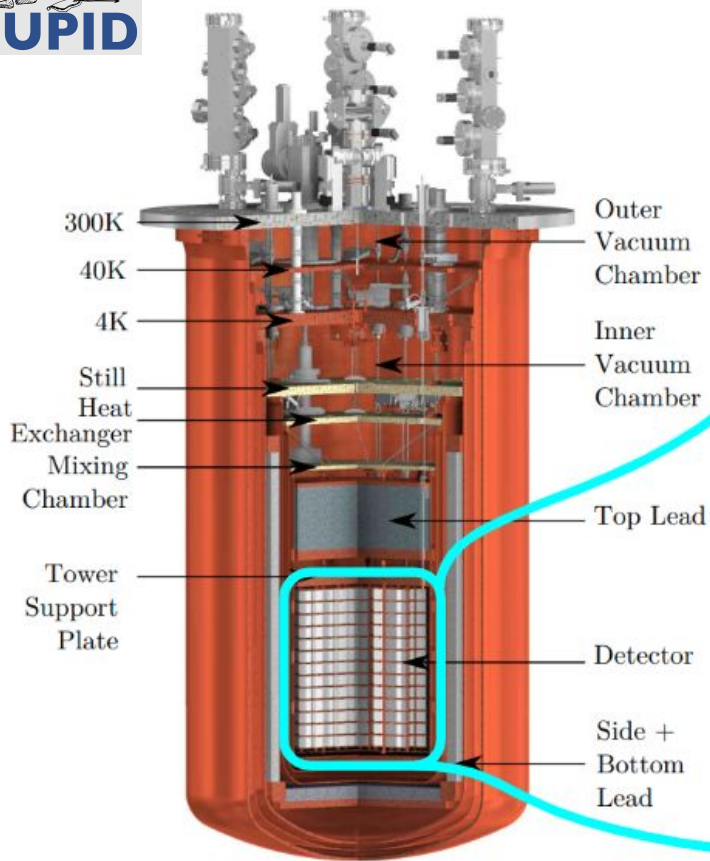
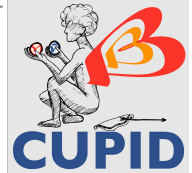


PMT
Train of Pulses

LD and NTD
expected response







57
TOWERS



- ▶ **45×45×45 mm³ Li₂¹⁰⁰MoO₄ crystals:**
 - Single crystal mass: 280 g
- ▶ **1596 crystals in the array**
 - 450 kg of Li₂¹⁰⁰MoO₄
 - 95% enrichment in ¹⁰⁰Mo: 240 kg of ¹⁰⁰Mo
 - 57 towers of 28 crystals each.
 - 14-floors of 2×1 crystal pairs.
 - Gravity assisted design
- ▶ **Ge light detectors (LD) with SiO anti-reflective coating.**
 - Top and bottom light detectors for each crystal: 1710 light detectors
 - No reflective foils
- ▶ **CUPID performance goal**
 - Energy resolution: 5 keV FWHM
 - Light Yield: 0.3 keV/MeV
 - LD: $\sigma_{\text{baseline}} \sim 100$ eV for PID
 - Background: 10⁻⁴ c/kg/y (counts/keV/kg/y)

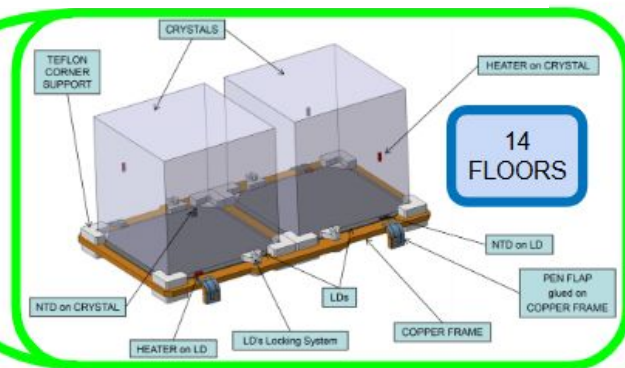


PHOTO STATISTICS

Given Θ as the expected number of photons emitted by the fibre, the observed number of photons (θ) is expected to follow a Poissonian distribution.

$$\frac{[Mean(\theta)]^2}{Var(\theta)} = \frac{[\Theta]^2}{\Theta}$$

IF the photons have also the same known wavelength, energy calibration can be achieved by measuring the value of Θ

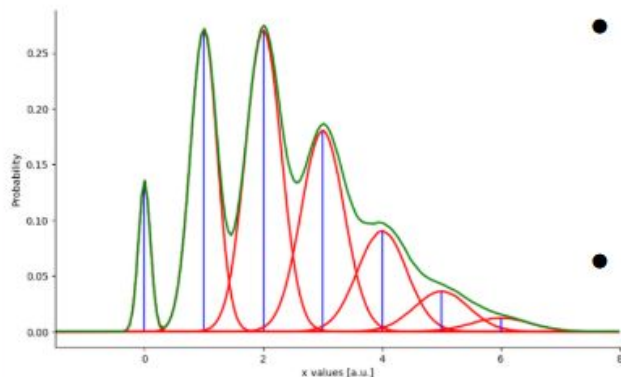
HOWEVER

- The real measurable quantity X is proportional to θ through the intrinsic gain (G)

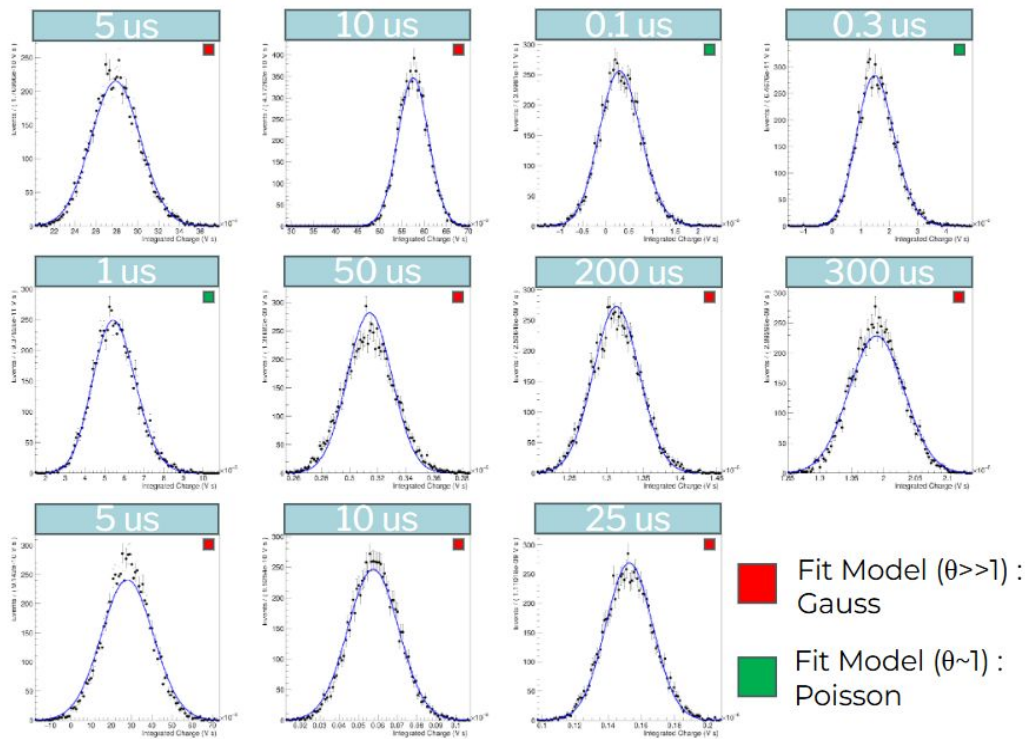
$$\Theta = \frac{Mean(X)}{G} \rightarrow \frac{[Mean(X)]^2}{Var(X)} = \frac{[G\Theta]^2}{G^2\Theta}$$

- Additional shift and smearing in the Poissonian distribution of θ due to the detector response

$$Var(\theta) = \sigma_{NOISE}^2 + (G^2 + \sigma_{DET}^2)\Theta$$



SO... the Poissonian term, in the variance, is no longer the only one linear in Θ
→ the reconstruct value of Θ can be an underestimate



Combined Fit Strategy

To resolve the single contributions to the variance with a fine (Poissonian limit) and gross (Gaussian limit) fit simultaneously.

- ➔ fine fit: gives access to parameters like σ_{NOISE}^2 and G but lacks in probing σ_{DET}^2
- ➔ gross fit: can reveal ($G^2 + \sigma_{DET}^2$) but lacks in evaluating others