

University of Copenhagen



Niels Bohr Institute



Quantum Back-Action Evasion for Future Gravitational Wave Detectors

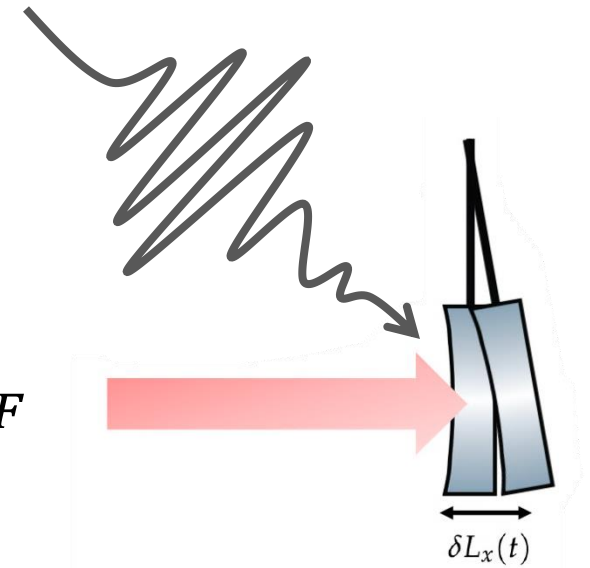
IFD, Sestri Levante, 17 marzo 2025

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Quantum Back-Action Evasion

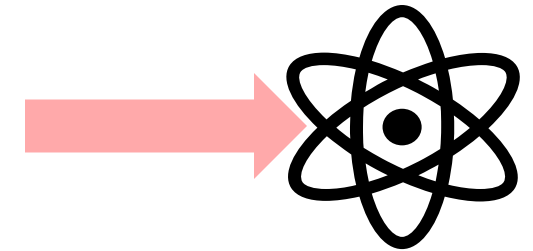
Quantum limited detector

$$q_{ITF} = \tilde{\hbar} \sqrt{K_{ITF}} + p_1 + x_1 K_{ITF}$$



External quantum reference

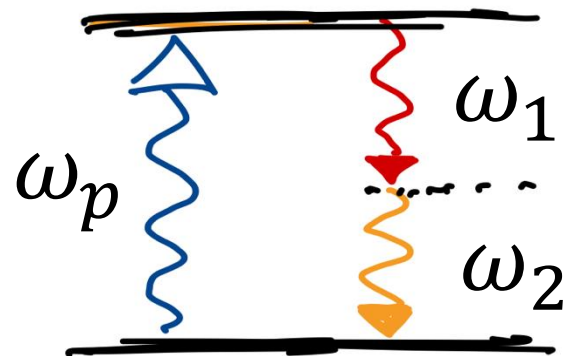
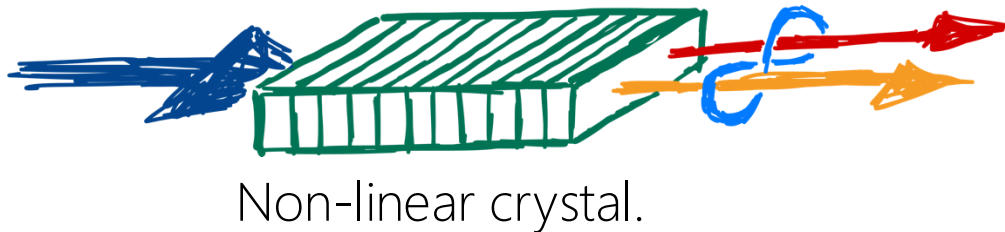
$$q_{Ref} = p_2 + x_2 K_{Ref}$$



Quantum Back-Action Evasion

Connection

Continuous variable entangled twin beams.



Parametric
down conversion

$$\omega_p = \omega_1 + \omega_2$$

Amplitude and phase are
correlated

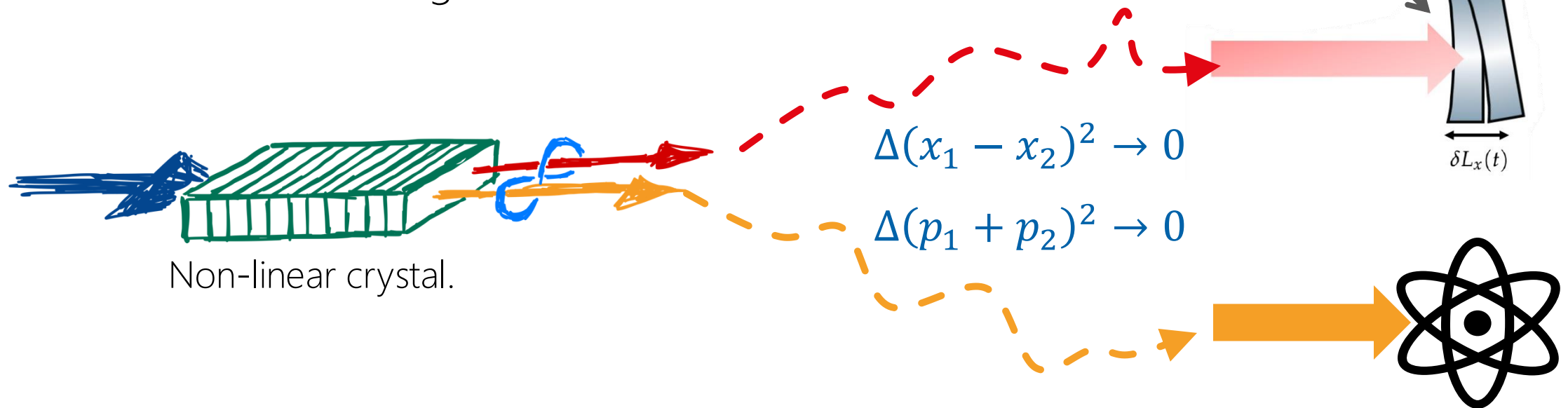
$$\Delta(x_1 - x_2)^2 \rightarrow 0$$

$$\Delta(p_1 + p_2)^2 \rightarrow 0$$

Quantum Back-Action Evasion

Connection

Continuous variable entangled twin beams.



Quantum Back-Action Evasion

Quantum limited detector

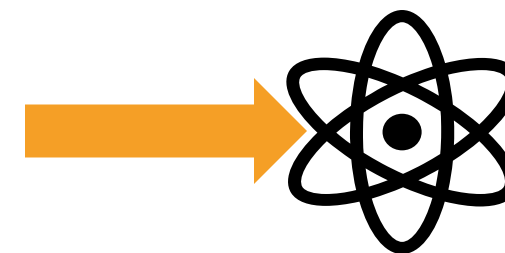
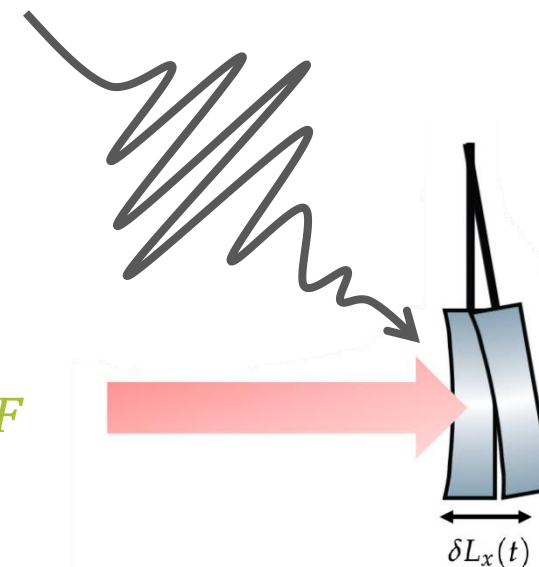
$$\Delta(x_1 - x_2)^2 \rightarrow 0$$

$$\Delta(p_1 + p_2)^2 \rightarrow 0$$

External quantum reference

$$q_{ITF} = \tilde{\hbar} \sqrt{K_{ITF}} + p_1 + x_1 K_{ITF}$$

$$q_{Ref} = p_2 + x_2 K_{Ref}$$



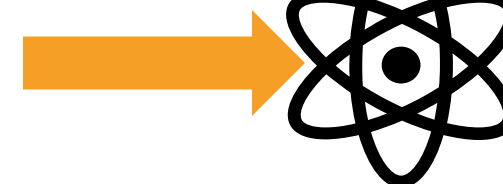
Quantum Back-Action Evasion

Quantum limited detector

$$q_{ITF} = \tilde{\hbar}\sqrt{K_{ITF}} + p_1 + x_1 K_{ITF}$$

External quantum reference

$$q_{Ref} = p_2 + x_2 K_{Ref}$$

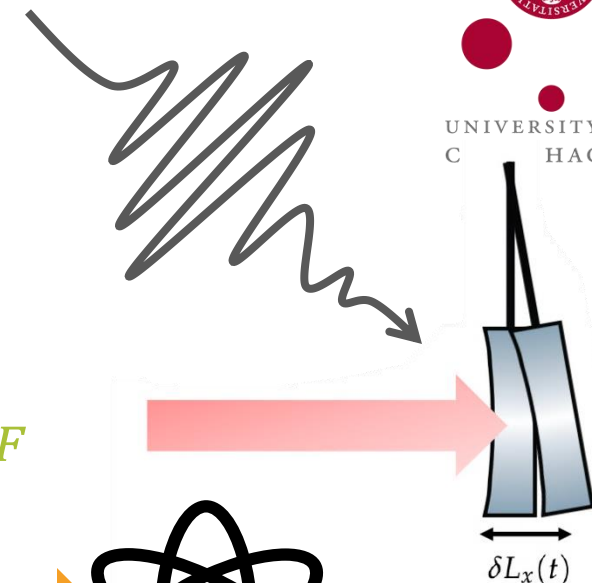


$$\Delta(x_1 - x_2)^2 \rightarrow 0$$

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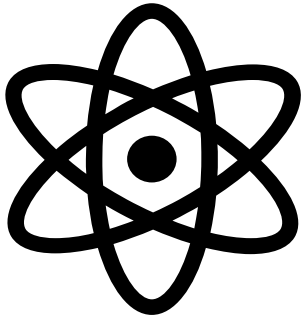
$$q_{ITF} + q_{ITF} = \tilde{\hbar}\sqrt{K_{ITF}} + p_1 + x_1 K_{ITF}(\Omega) + p_2 + x_2 K_{Ref}(\Omega)$$



Quantum Back-Action Evasion

External (Quantum) Reference

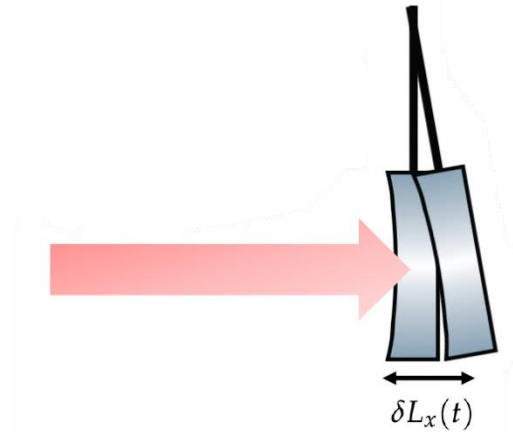
$$K_{Ref}(\Omega)$$



Negative Mass Oscillator

$$\Delta(x_1 - x_2)^2 \rightarrow 0$$

$$K_{ITF}(\Omega)$$



Positive Mass Oscillator

Quantum Back-Action Evasion

External (Quantum) Reference

$$K_{Ref}(\Omega)$$

$$\Delta(x_1 - x_2)^2 \rightarrow 0$$

$$K_{ITF}(\Omega)$$

$$K_{Ref}(\Omega) \propto \frac{-P_{in}}{\Omega^2(\Omega^2 + \gamma^2)}$$

$$K_{ITF}(\Omega) \propto \frac{P_{in}}{\Omega^2(\Omega^2 + \gamma^2)}$$

Effective

Negative Mass Oscillator

Positive Mass Oscillator

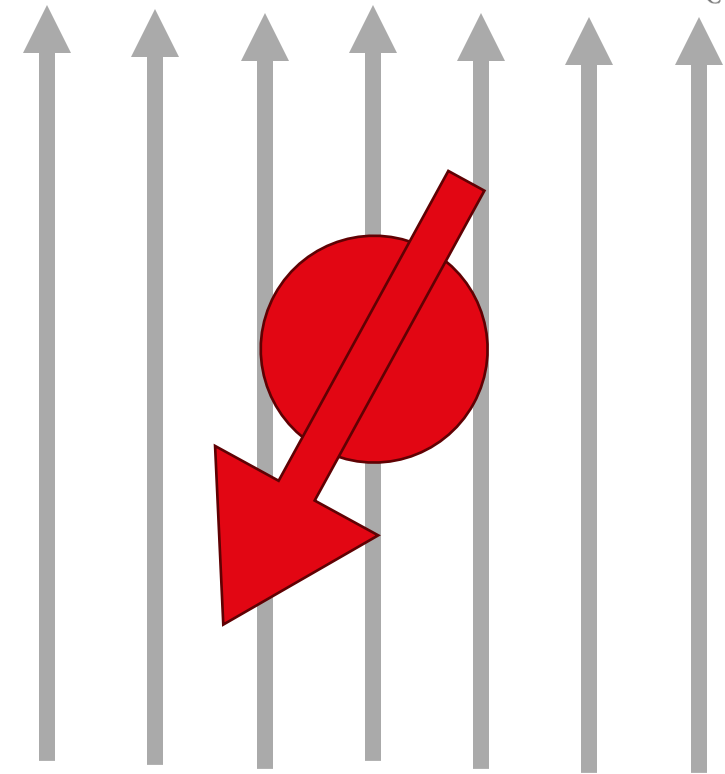
Quantum Back-Action Evasion

External (Quantum) Reference

$$K_{Ref}(\Omega)$$

$$K_{Ref}(\Omega) \propto \frac{-P_{in}}{\Omega^2(\Omega^2 + \gamma^2)}$$

Effective
Negative Mass Oscillator



Magnetic Field

$$H \propto -B \cdot J$$

Quantum Back-Action Evasion

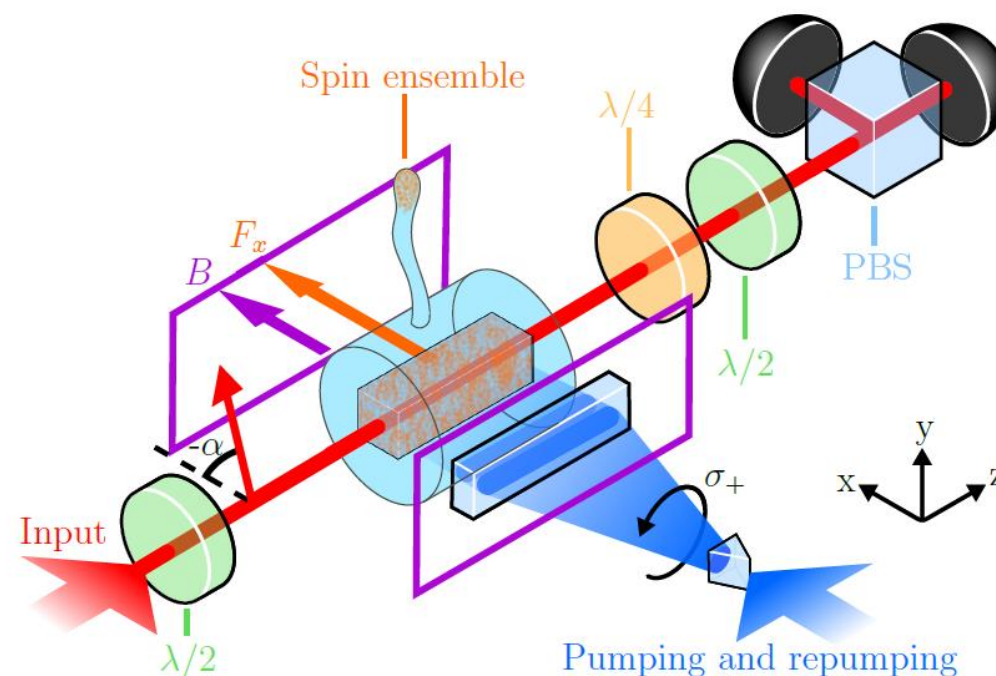
External (Quantum) Reference

$$K_{Ref}(\Omega)$$

$$K_{Ref}(\Omega) \propto \frac{-P_{in}}{\Omega^2(\Omega^2 + \gamma^2)}$$

Effective

Negative Mass Oscillator



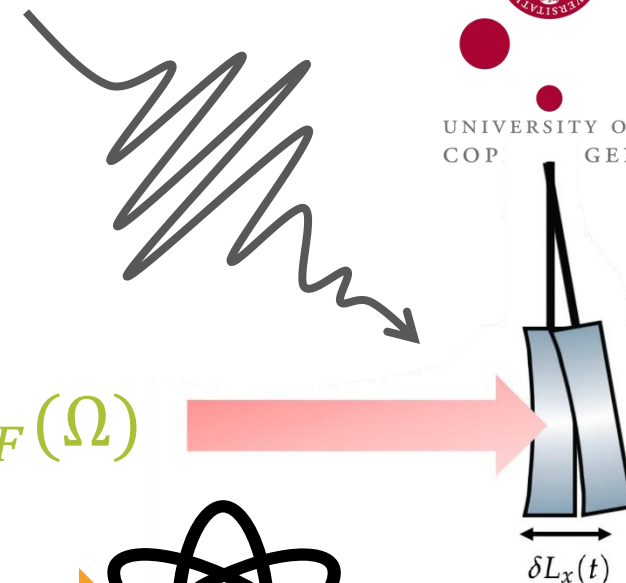
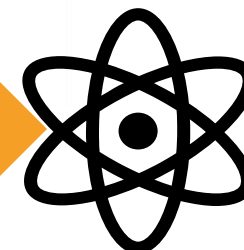
Quantum Back-Action Evasion

Quantum limited detector

$$q_{ITF} = \tilde{\hbar}\sqrt{K_{ITF}} + p_1 + x_1 K_{ITF}(\Omega)$$

External quantum reference

$$q_{Ref} = p_2 + x_2 K_{Ref}(\Omega)$$



$$q_{ITF} + q_{ITF} = \tilde{\hbar}\sqrt{K_{ITF}} + p_1 + x_1 K_{ITF}(\Omega) + p_2 + x_2 K_{Ref}(\Omega)$$

$K_{Ref}(\Omega) \simeq -K_{ITF}(\Omega)$

$\Delta(p_1 + p_2)^2 \rightarrow 0$



Quantum Back-Action Evasion

Conditioning the $q_{ITF}(\Omega)$ based on the $q_{Ref}(\Omega)$, we can suppress the detector quantum noise

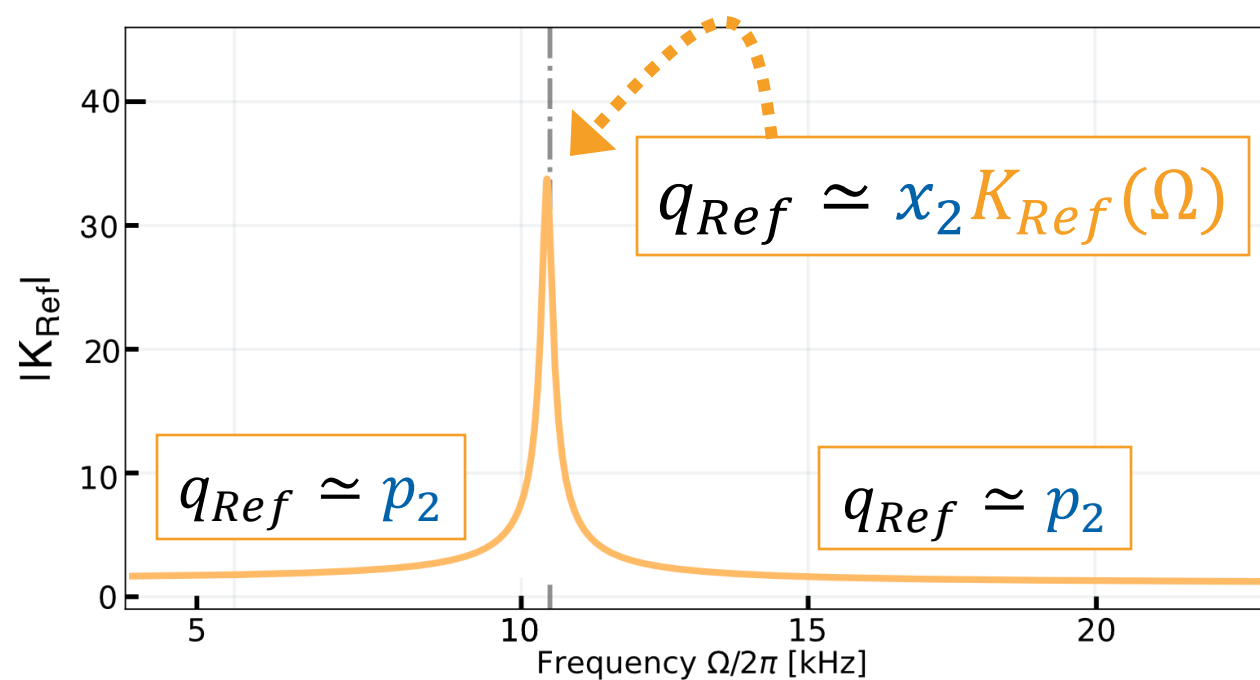
$$q_{ITF} + q_{ITF} = \tilde{\hbar} \sqrt{K_{ITF}}$$

How did we demonstrate it?

How did we demonstrate it?

One-axis twisting on the idler arm

$$q_{Ref} = p_2 + x_2 K_{Ref}(\Omega)$$



How did we demonstrate it?

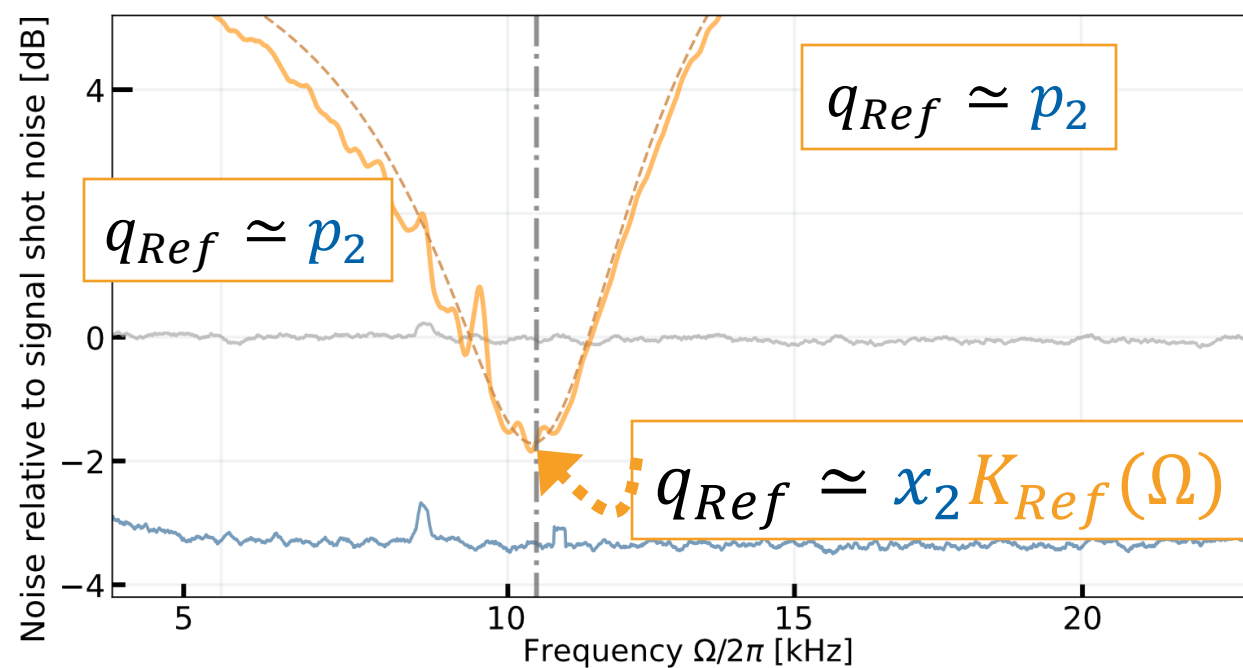
One-axis twisting on the idler arm

$$q_{Ref} = p_2 + x_2 K_{Ref}(\Omega)$$

$$q_1 = x_1$$

$$\Delta(x_1 - x_2)^2 \rightarrow 0$$

$$\Delta(p_1 + p_2)^2 \rightarrow 0$$



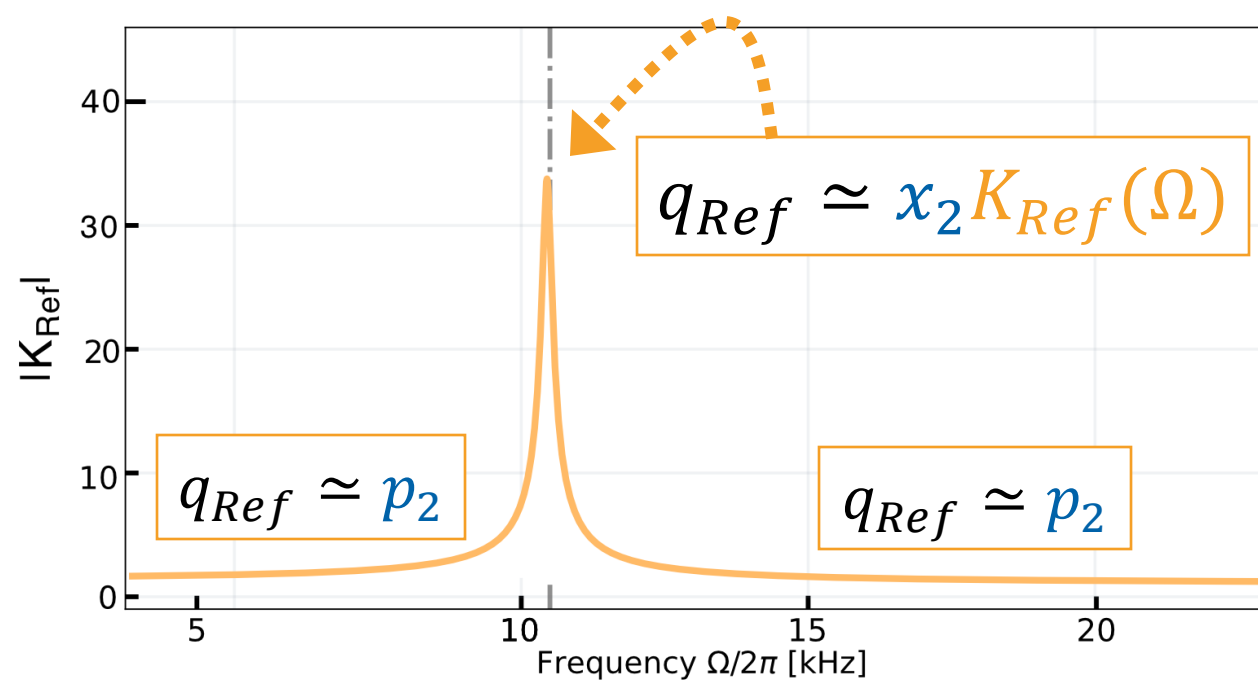
How did we demonstrate it?

One-axis twisting on the idler arm

$$q_{Ref} = p_2 + x_2 K_{Ref}(\Omega)$$

Phase Rotation

$$\Phi(\Omega) = \arctan[K_{Ref}(\Omega)]$$



$$q_{Ref}(\Omega) = N (p_2 \cos(\Phi(\Omega)) + x_2 \sin(\Phi(\Omega)))$$

How did we demonstrate it?

One-axis twisting on the idler arm

$$q_{Ref} = p_2 + x_2 K_{Ref}(\Omega)$$

Phase Rotation

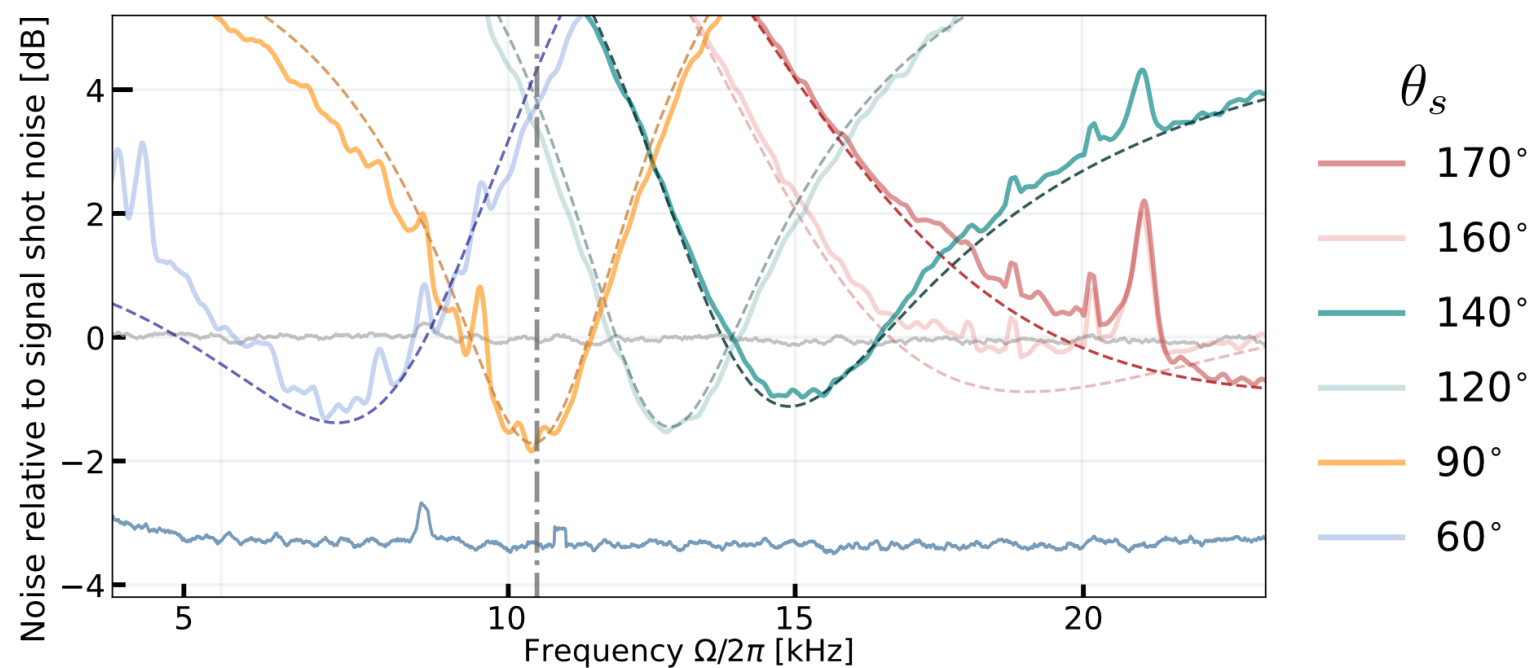
$$\Phi(\Omega) = \arctan[K_{Ref}(\Omega)]$$

$$q_1 = \sin(\theta_s)x_1 + \cos(\theta_s)p_1$$

$$q_{Ref}(\Omega) = N(p_2 \cos(\Phi(\Omega)) + x_2 \sin(\Phi(\Omega)))$$

$$\Delta(x_1 - x_2)^2 \rightarrow 0$$

$$\Delta(p_1 + p_2)^2 \rightarrow 0$$



How did we demonstrate it?

One-axis twisting on the idler arm

$$q_{Ref} = p_2 + x_2 K_{Ref}(\Omega)$$

Phase Rotation

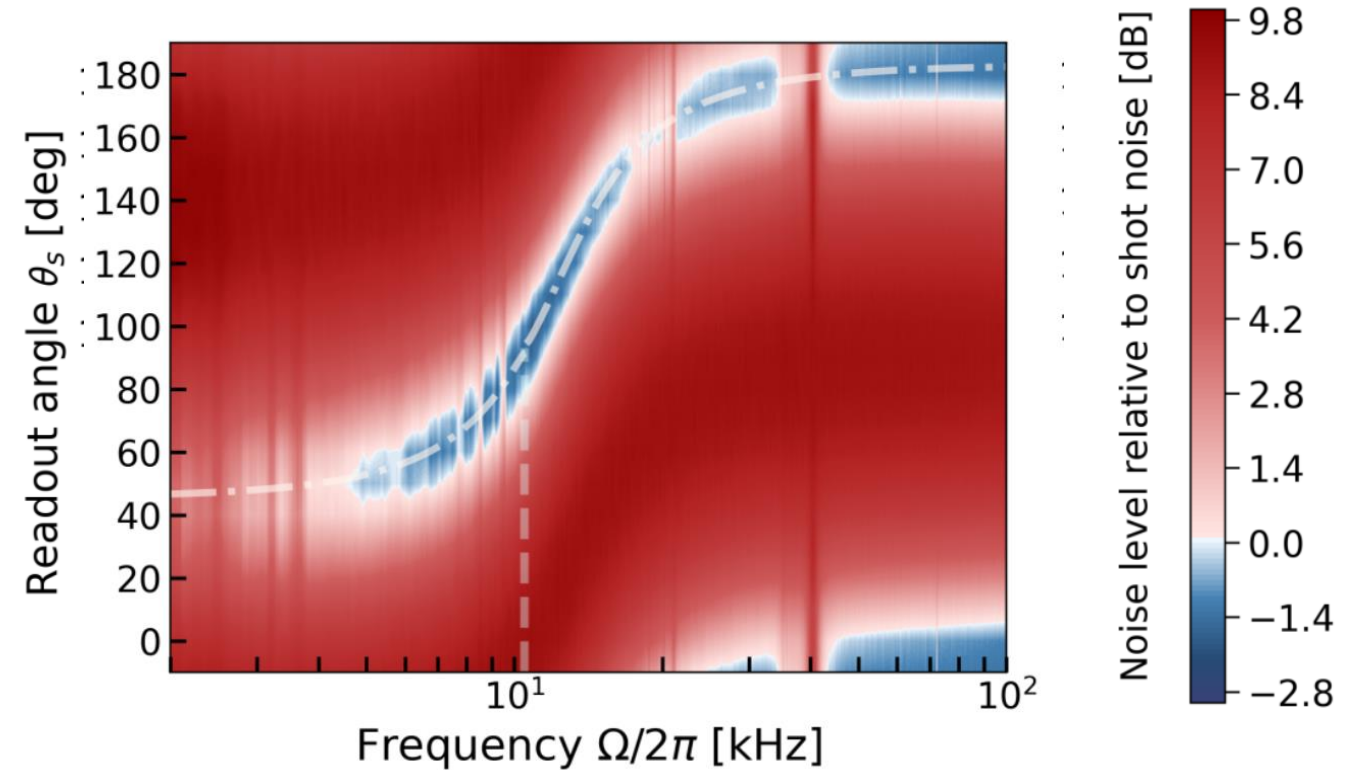
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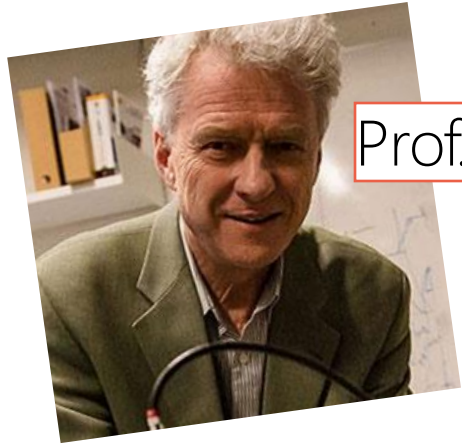


The Team

Niels Bohr Institute



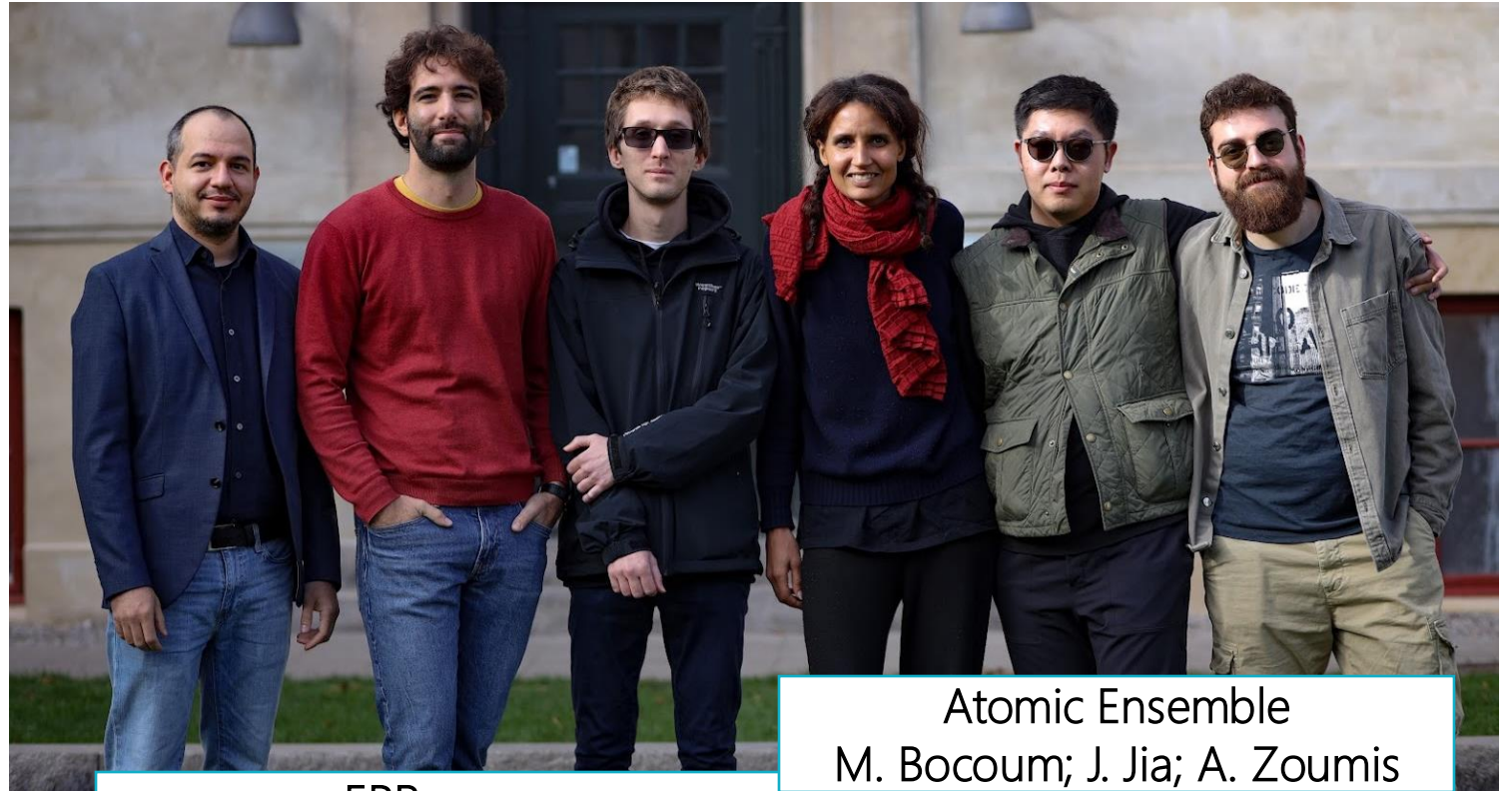
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