Automatizing the search for mass resonances using **BumpNet**

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Motivation

- Train a neural network to **identify mass bumps in real data** without the need of What? simulation or analytical fit to estimate the background
- Exploit the **discovery potential of the data** Why?
 - Impossible to check all possible searches with the traditional analysis
 - Many possible resonances in unexplored final states

Histogram Processing + Calibration

- Train + evaluate using the Dark Machines dataset [3]
 - Designed to test anomaly detection techniques
 - Equivalent to 10 fb⁻¹ with highest cross-section processes at the LHC
- **Final states** made from all possible combinations of the following objects:

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Overview

BumpNet [1] is a fully supervised neural network (NN) trained to map smoothly falling histogram data to z-significance values.

Training



significance in each bin

Application



significance in each bin

- Γ DUUSLEU lJet(j)Boosted hadronic W/ZHigh mass jet (m > 200 GeV) μ
- 30,000 mass histograms created from all combinations of objects in each final state (e.g. $1e + 2j \rightarrow m(e, j_1), m(e, j_2), m(j_1, j_2), m(e, j_1, j_2)$)
- Rebinning reflects detector resolution



Performance

 \bigcirc Unbiased agreement between Z_{max}^{LR} and $Z_{max}^{BumpNet}$



Architecture

 4×1 -D **convolutional layers** followed by a dense layer. Intuitive and **agnostic to the number of bins** in the histogram.



Promising results when finding the **Higgs bump**; predicted significance is 4.6σ whereas Z_{LR} yields 4.2σ



Sensitive to **BSM signals** (example) below: $stop \rightarrow be$)



 \heartsuit Limits on the number of signal entries derived from $Z_{BumpNet}$ closely match those from Z_{LR}

Training

Smoothly falling curve (from analytical functions and GPR) + **gaussian signal** \rightarrow **Poisson fluctuate** (training data) \rightarrow calculate **local significance** in each bin (label) [2]







References

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2 Cowan, G., Cranmer, K., Gross, E., & Vitells, O. (2011). European Physical Journal C, 71(2), 1554. https://doi.org/10.1140/epjc/s10052-011-1554-0

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