Deep learning for particle reconstruction in collider experiments

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17/12/2024, Genova Digital Twins for Nuclear and Particle physics

A history of particle detectors



BEBC 1979 A history Weak neutral current of particle detectors





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Inner tracking system (ITS)

- 9 layers of thin Si-Fe interface
- 3.8 T B-field
- 4.4 cm Fe (solenoid) casing

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Electromagnetic calorimeter (ECAL)

- 3 layers
- Pb / liquid Ar mix (1:3.83)
- $X_0 = 2.5$ cm

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Hadronic calorimeter (HCAL)

- 3 layers
- Fe / polyvinyl toluene mix (1.1:1)
- $\lambda_{int} = 26.6$ cm

Proton collision



Proton collision



Proton collision













 \Rightarrow see talk by <u>Tommaso R.</u>

 $\cos\phi \times |\tan\theta|_{6}$



 \Rightarrow see talk by <u>Tommaso R.</u>

 $\cos\phi \times |\tan\theta|_{6}$

Classic object detection

Input





Features: RGB value array





Output

Particle reconstruction



Cardinality prediction

Ex: single jet of particles



Cardinality prediction

Ex: single jet of particles



Particle classification



All examples: ($E = 50 \text{ GeV}, \eta = 0$)

Particle momentum regression



"Particle flow"

An algorithm that combines the information from both tracker and calorimeter to optimize the momentum prediction

True momentum

Particle momentum regression



Calorimeter measurement $\sim \sum_{cells} E_i$

"Particle flow"

An algorithm that combines the information from both tracker and calorimeter to optimize the momentum prediction

Tracker measurement ~ 1/curvature

True momentum

Particle momentum regression



Calorimeter measurement $\sim \sum_{cells} E_i$

"Particle flow"

An algorithm that combines the information from both tracker and calorimeter to optimize the momentum prediction

Tracker measurement

 ~ 1 /curvature

N.B. cannot naively "add" tracks!

True momentum

We want to use tracks at low momentum (better resolution)... ... but we first need to remove their <u>expected</u> contribution



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CMS particle flow



Pandora: particle flow for CLIC



Pandora: particle flow for CLIC



Set-to-set ML architecture



Benchmark: MLPF

<u>arXiv:2101.08578</u>, <u>arXiv:2309.06782</u>





Benchmark: MLPF

<u>arXiv:2101.08578</u>, <u>arXiv:2309.06782</u>



Classification

Benchmark: MLPF

<u>arXiv:2101.08578</u>, <u>arXiv:2309.06782</u>



[N.B. in practice the tasks are simultaneous]

<u>arXiv:2212.01328</u>, <u>arXiv:2410.23236</u>



arXiv:2212.01328, arXiv:2410.23236



arXiv:2212.01328, arXiv:2410.23236



arXiv:2212.01328, arXiv:2410.23236



How to predict a hypergraph?



How to predict a hypergraph?

Incidence matrix



fraction of topocluster i's energy deposited by particle a

 E_{ia}

How to predict a hypergraph?





Perks of learning incidence matrix

Assuming we predicted the incidence matrix correctly...



Perks of learning incidence matrix

Assuming we predicted the incidence matrix correctly...

... then we can already estimate the properties of the particles:



$$E_a \simeq E_1 + (0.58 \cdot E_2) + (0.15 \cdot E_3)$$

Perks of learning incidence matrix

Assuming we predicted the incidence matrix correctly...

1.0

0.58

0.15

 E_1

 E_{2}

 E_{z}

 E_4

Topoclusters

... then we can already estimate the properties of the particles:

$$E_a \simeq E_1 + (0.58 \cdot E_2) + (0.15 \cdot E_3)$$



 E_b

 E_c

Reconstructed

particles



HGPflow algorithm



HGPflow algorithm



HGPflow algorithm





arXiv:2410.23236



High Energy Physics – Experiment

[Submitted on 30 Oct 2024]

HGPflow: Extending Hypergraph Particle Flow to Collider Event Reconstruction

Nilotpal Kakati, Etienne Dreyer, Anna Ivina, Francesco Armando Di Bello, Lukas Heinrich, Marumi Kado, Eilam Gross



In high energy physics, the ability to reconstruct particles based on their detector signatures is essential for downstream data analyses. A particle reconstruction algorithm based on learning hypergraphs (HGPflow) has previously been explored in the context of single jets. In this paper, we expand the scope to full proton-proton and electron-positron collision events and study reconstruction quality using metrics at the particle, jet, and event levels. Rather than operating on the entire event in a single pass, we train HGPflow on smaller partitions to avoid potentially learning long-range correlations related to the physics process. We demonstrate that this approach is feasible and that on most metrics, HGPflow outperforms both traditional particle flow algorithms and a machine learning-based benchmark model.

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Datasets

COCOA (2023) MLST 4 035042

- Similar to ATLAS
- Relatively low granularity
- Comes with basic particle flow algorithm



CLICdet <u>arXiv:812.07337</u>

- Publicly-available dataset: <u>zenodo/8260741</u>
- High granularity
- Sophisticated <u>Pandora particle flow</u> algo.

$e^+e^- \to t \bar{t}$



Source: arXiv:1208.1402

Detector	Process	Statistics		
		train	val.	test
COCOA	$p^+p^+ o q \overline{q}$	250k	10k	35k
	single π^+	_	_	$30k / p_T bin$
	$p^+p^+ \rightarrow t\bar{t}$	_	_	20k
	$p^+p^+ \to Z(\nu\overline{\nu})H(b\overline{b})$	_	_	10k
CLIC	$e^+e^- ightarrow q\overline{q}$	1 M	5k	20k

Performance: dijet events

Trained on 250k and tested on 35k







Φ

Not encountered during training!



Performance: boosted Higgs

Not encountered during training!



 \overline{q}

Performance on $e^+e^- \rightarrow q\overline{q}$ events

Trained on 1M and tested on 20k



HGPflow excels for high-granularity calorimeters too

- Slightly outperforms Pandora
- Promising for existing and future facilities

Summary

Particle reconstruction

is foundational to experimental HEP

Deep learning is

redefining what can be achieved

Hypergraph learning

fits the problem well and is interpretable

Digital twin

(i.e. GEANT4 simulation) required for training



Next step: implement at the LHC!