

New physics and flavor: current insights and future prospects

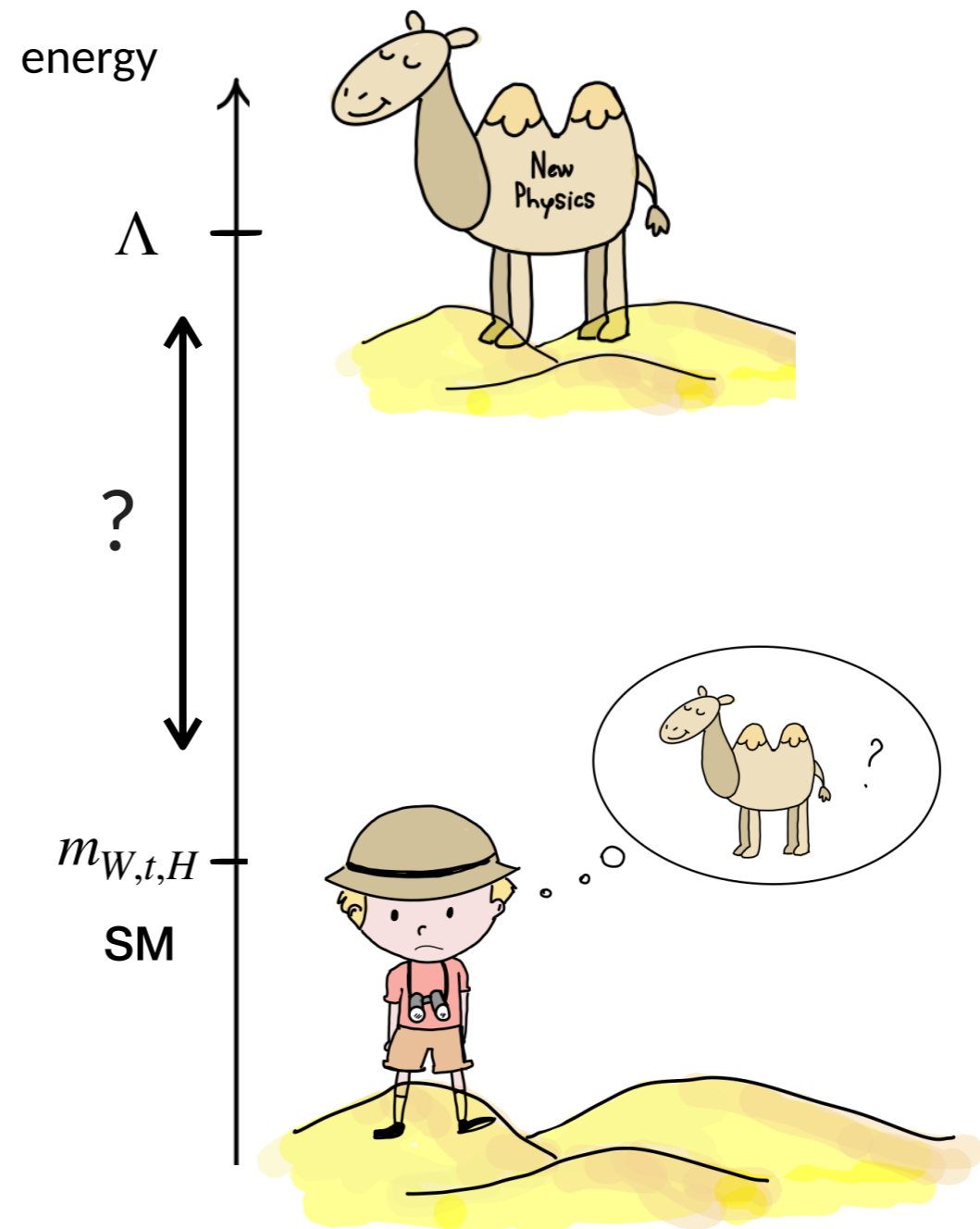
Claudia Cornella (CERN)

October 3rd, 2024 || Laboratori Nazionali di Frascati

The scale of new physics

No direct evidence of BSM.
We are facing a **mass gap**.

How large?



The scale of new physics, in theory

- The **Higgs mass** is **unstable** under quantum corrections. If there's nothing else, its naive scale is the **Planck** mass.

In the SM, the largest contribution comes from the top.

To keep the Higgs mass at its measured value, need some **NP coupled to the Higgs and top** around the **TeV scale**.

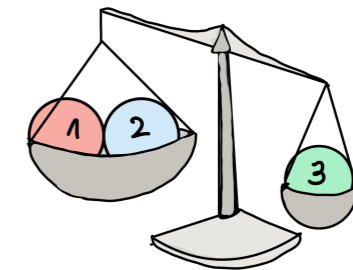
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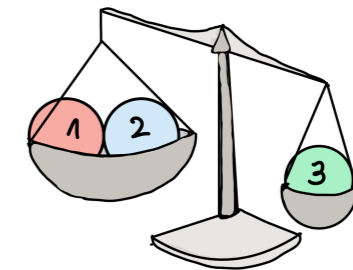
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- Challenges like dark matter, dark energy, inflation, and baryon asymmetry are more difficult to link directly to a specific scale accessible by colliders.

The scale of new physics, from data

Without direct evidence of New Physics, we rely on the **SMEFT**

$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda} \sum_{i=1}^{N_5} C_i^{(5)} O_i^{(5)} + \frac{1}{\Lambda^2} \sum_{i=1}^{N_6} C_i^{(6)} O_i^{(6)} + \mathcal{O}\left(\frac{E^3}{\Lambda^3}\right)$$

NP scale → unknown Wilson coefficients → higher-dimensional operators

which gives a **model-independent**, efficient framework to constrain (any) heavy BSM affecting **different sectors & energy regimes**.

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In practice:

- use data (EW precision, flavor, collider...) to constrain the C_i
- interpret constraints as lower bounds on an **effective NP scale**

$$\Lambda_{\text{eff}}^i = \frac{\Lambda}{\sqrt{C_i}} \sim \frac{M}{g}$$

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An **example** from the past:

In the 1970s, the “SM” had two quark families, & CP was an accidental symmetry. CPV in K mixing suggested a huge NP scale...

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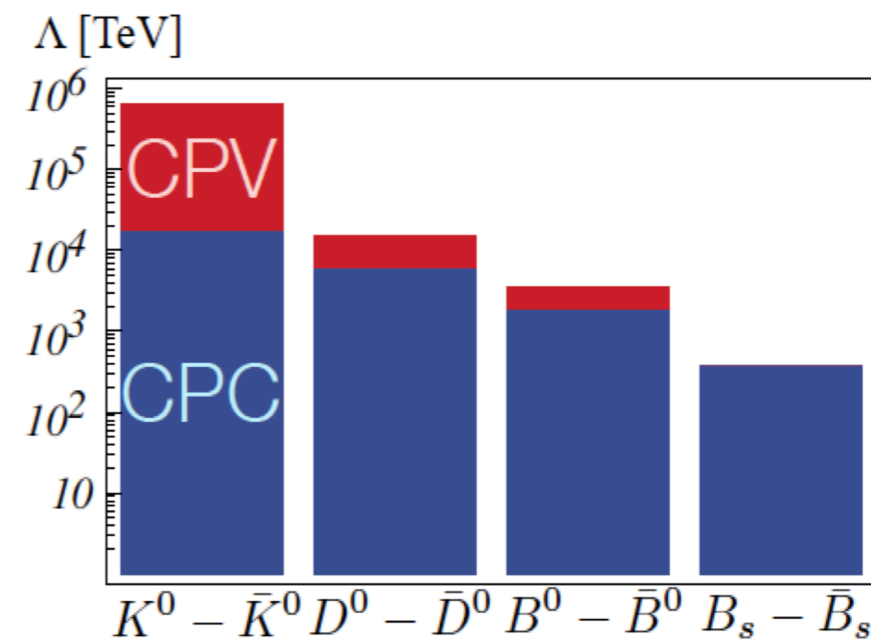
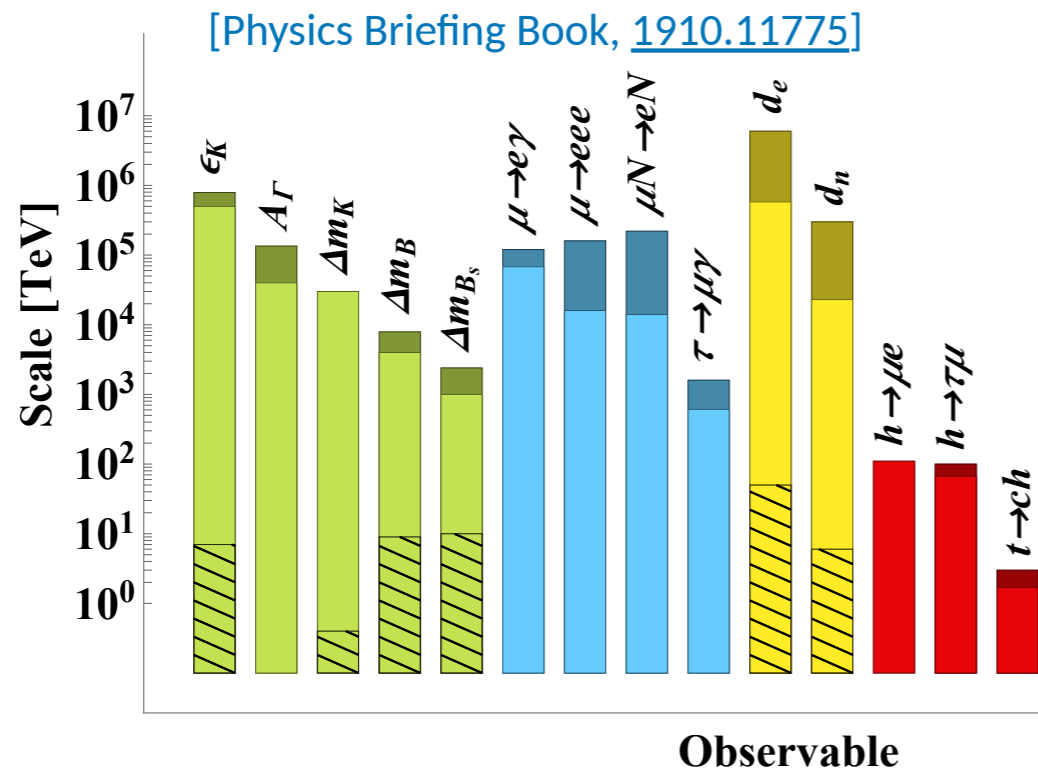
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$$\frac{1}{\Lambda_{\text{CP}}^2} (\bar{s} \Gamma d)^2 \Rightarrow \Lambda_{\text{CP}} \sim 10^4 \text{ TeV} \qquad \frac{1}{\Lambda_{\text{CP}}^2} \sim \frac{(G_F m_t V_{ts} V_{td})^2}{4\pi^2}$$

...but the real scale was much lower, because CP is a good approximate symmetry also with 3 generations (broken only by weak interactions)!

The importance of flavor assumptions, today

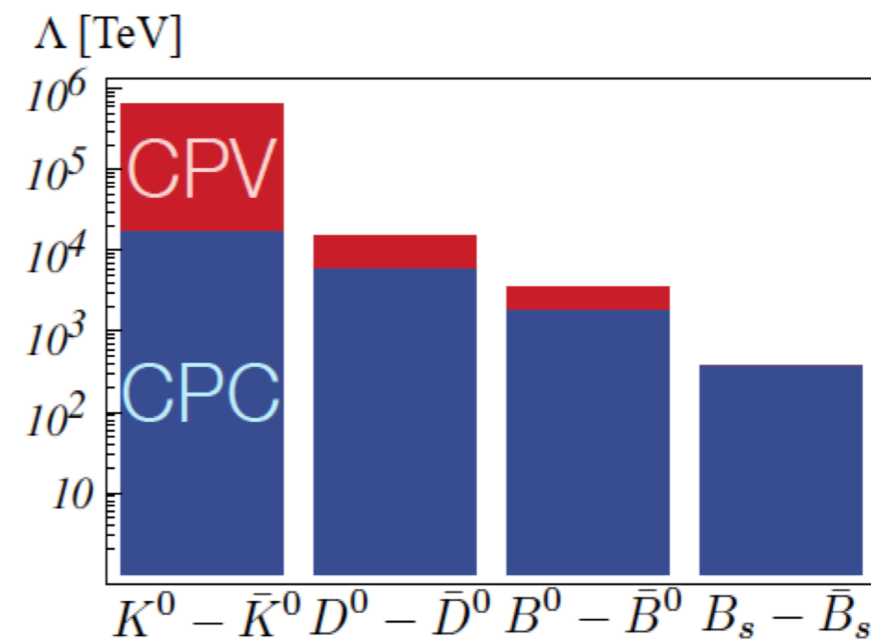
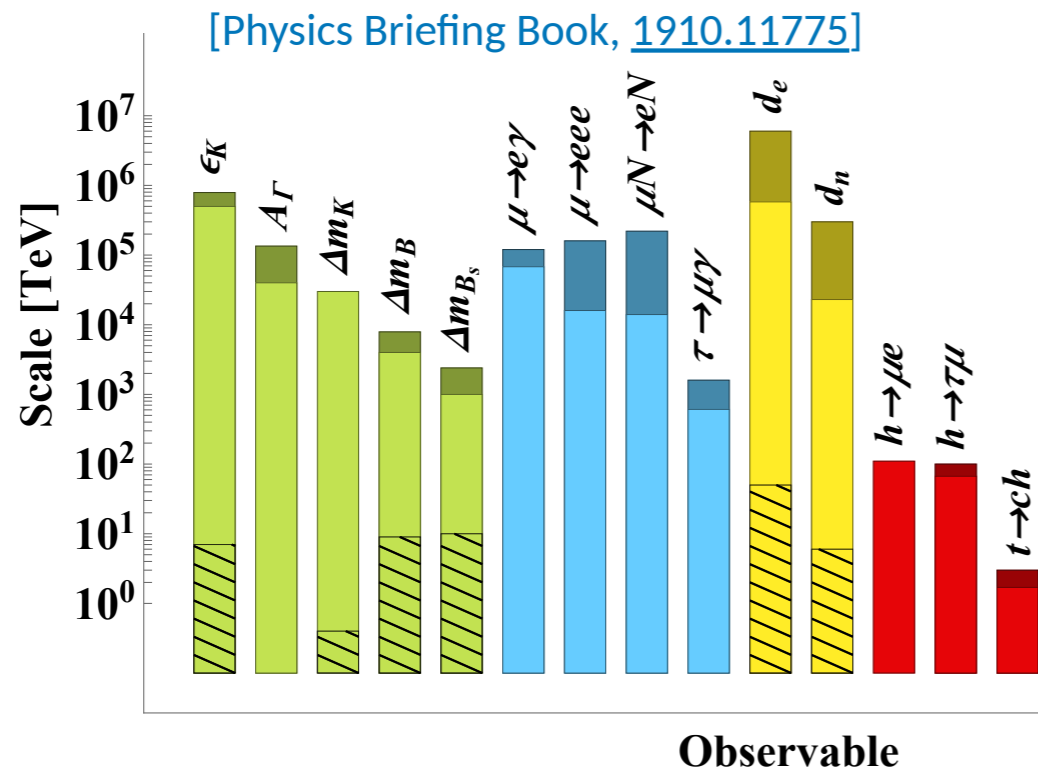
Similar caution is needed when interpreting **SMEFT** bounds today:
with $O(1)$ NP couplings, bounds on flavor-violating operators point to huge scales...



....but in realistic models [with a flavor structure!] these couplings can be suppressed, and give much looser constraints!

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....but in realistic models [with a flavor structure!] these couplings can be suppressed, and give much looser constraints!

⇒ Making **educated assumptions about the NP structure** and translating them into selection rules in the SMEFT can provide a more informative interpretation of bounds.

Flavor symmetries to the rescue

Use **accidental symmetries** of the SM as **guidance**.

The SM has an approximate $U(2)^5$ flavor symmetry:

$$M_{e,d,u} = \begin{bmatrix} \text{light gray} & & \\ & \text{medium gray} & \\ & & \text{black} \end{bmatrix} \quad V_{\text{CKM}} = \begin{bmatrix} \text{black} & \text{medium gray} & \text{light gray} \\ \text{medium gray} & \text{black} & \text{light gray} \\ \text{light gray} & \text{light gray} & \text{black} \end{bmatrix}$$

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What flavor data tells us that NP does to:

there is **no large breaking** of $U(2)^5$ at **nearby** scales!

As long as it respects $U(2)$, NP can exist at lower scales.

The $U(2)$ -symmetric SMEFT

$U(2)^5$ is an **efficient organising principle**:

- The SMEFT with 3 generations has $1350 + 1149 = 2499$ independent WCs at dim-6.
- In the exact $U(2)^5$ limit, this is reduced to $124 + 23 = 147$ independent WCs.

Operators	$U(2)^5$ [terms summed up to different orders]													
	Exact		$\mathcal{O}(V^1)$		$\mathcal{O}(V^2)$		$\mathcal{O}(V^1, \Delta^1)$		$\mathcal{O}(V^2, \Delta^1)$		$\mathcal{O}(V^2, \Delta^1 V^1)$		$\mathcal{O}(V^3, \Delta^1 V^1)$	
Class 1–4	9	6	9	6	9	6	9	6	9	6	9	6	9	6
$\psi^2 H^3$	3	3	6	6	6	6	9	9	9	9	12	12	12	12
$\psi^2 XH$	8	8	16	16	16	16	24	24	24	24	32	32	32	32
$\psi^2 H^2 D$	15	1	19	5	23	5	19	5	23	5	28	10	28	10
$(\bar{L}L)(\bar{L}L)$	23	–	40	17	67	24	40	17	67	24	67	24	74	31
$(\bar{R}R)(\bar{R}R)$	29	–	29	–	29	–	29	–	29	–	53	24	53	24
$(\bar{L}L)(\bar{R}R)$	32	–	48	16	64	16	53	21	69	21	90	42	90	42
$(\bar{L}R)(\bar{R}L)$	1	1	3	3	4	4	5	5	6	6	10	10	10	10
$(\bar{L}R)(\bar{L}R)$	4	4	12	12	16	16	24	24	28	28	48	48	48	48
total:	124	23	182	81	234	93	212	111	264	123	349	208	356	215

Table 6: Number of independent operators in the SMEFT assuming a minimally broken $U(2)^5$ symmetry, including breaking terms up to $\mathcal{O}(V^3, \Delta^1 V^1)$. Notations as in Table 1.

[D. A. Faroughy, G. Isidori, F. Wilsch, K. Yamamoto, [arXiv:2005.05366](https://arxiv.org/abs/2005.05366)]

The U(2)-symmetric SMEFT, universal

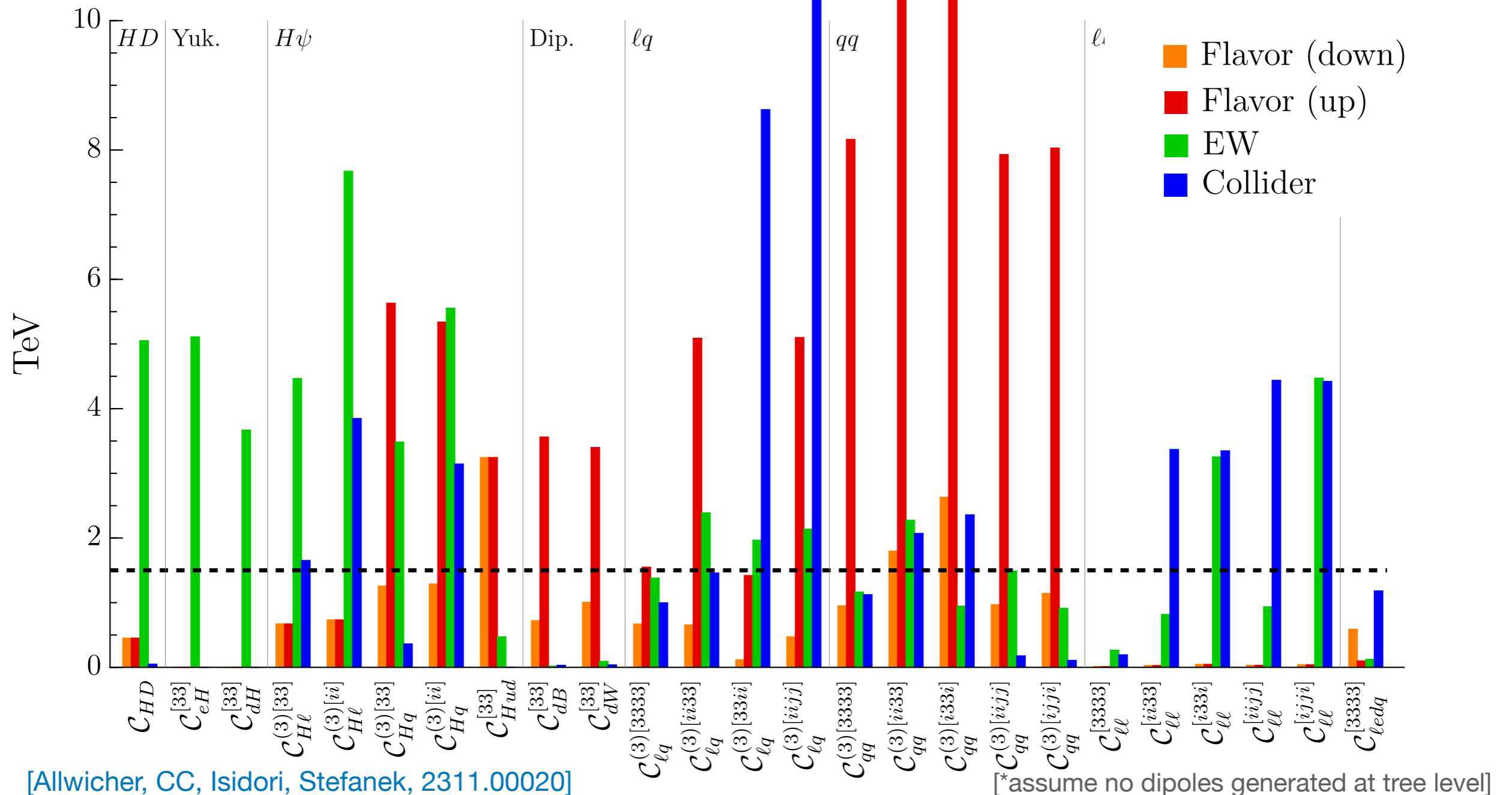
Without additional assumptions, $U(2)^5$ is close in spirit to **Minimal Flavor Violation**:

- Yukawas couplings are the only sources of flavor violation, $\textcircled{1} = \textcircled{2} = \textcircled{3}$
NP is to a good approximation **flavor-universal**
- by construction, CKM-like suppression on flavor-changing processes,
but flavor-diagonal couplings to valence quarks are not suppressed
 \Rightarrow LHC data pushes the scale of MFV NP to scales \gtrsim **10 TeV**.

The U(2)-symmetric SMEFT, universal: bounds

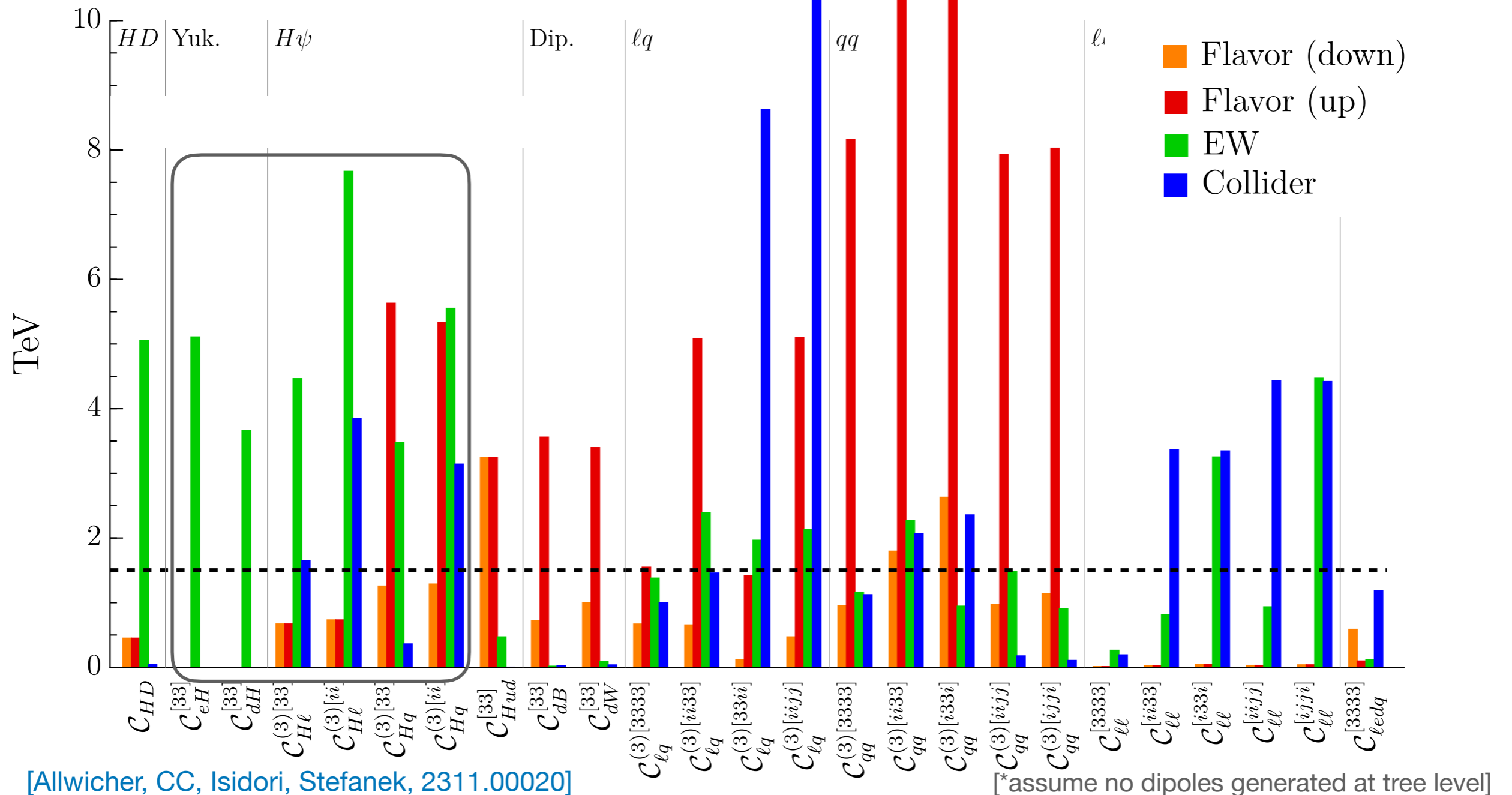
complementarity:

1/3 of the bounds are dominated by EWPO, 1/3 by collider, 1/3 by flavor



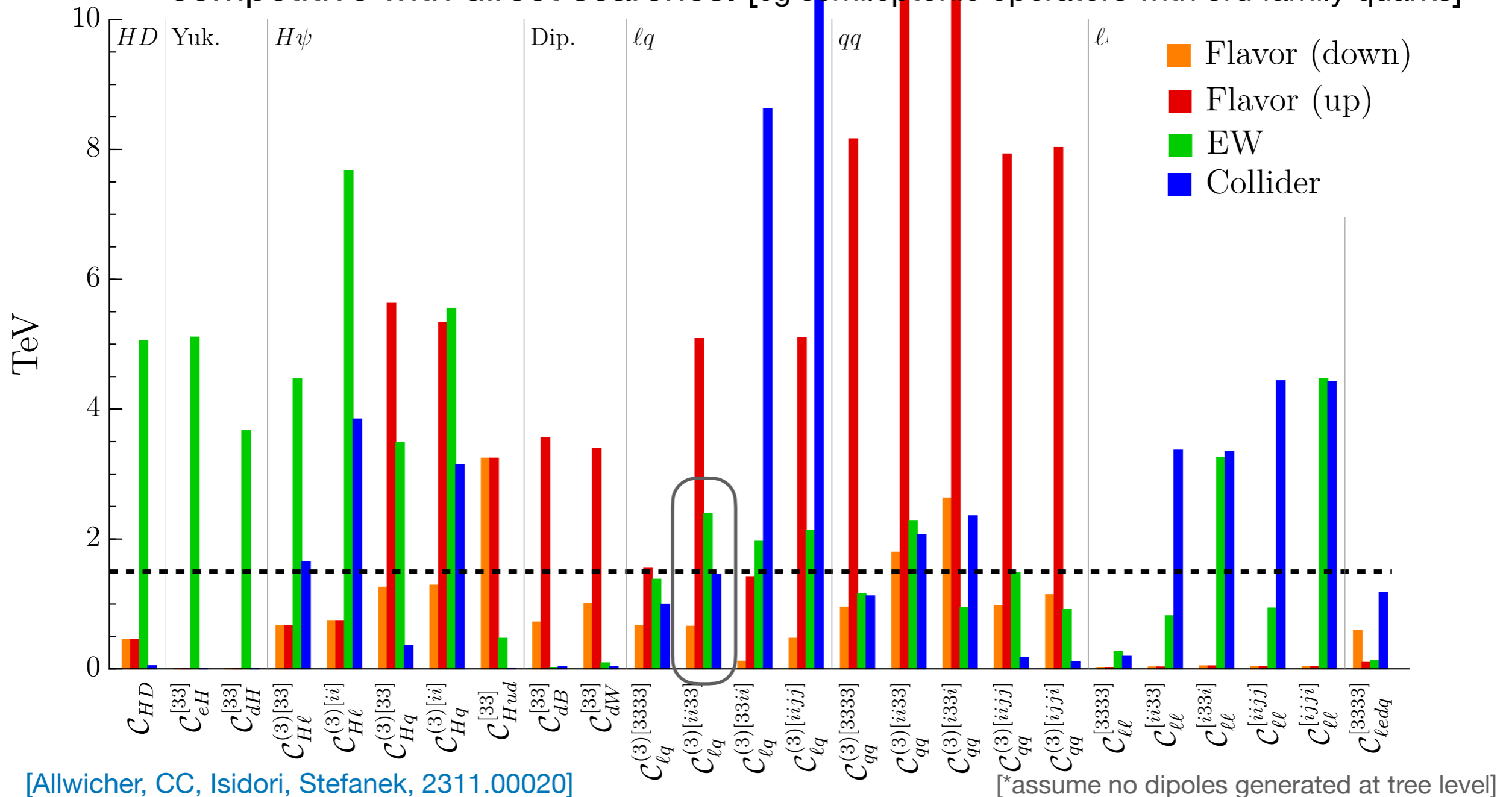
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EW: • LEP dominates: 5 -10 TeV bounds for operators entering EWPOs at tree level.



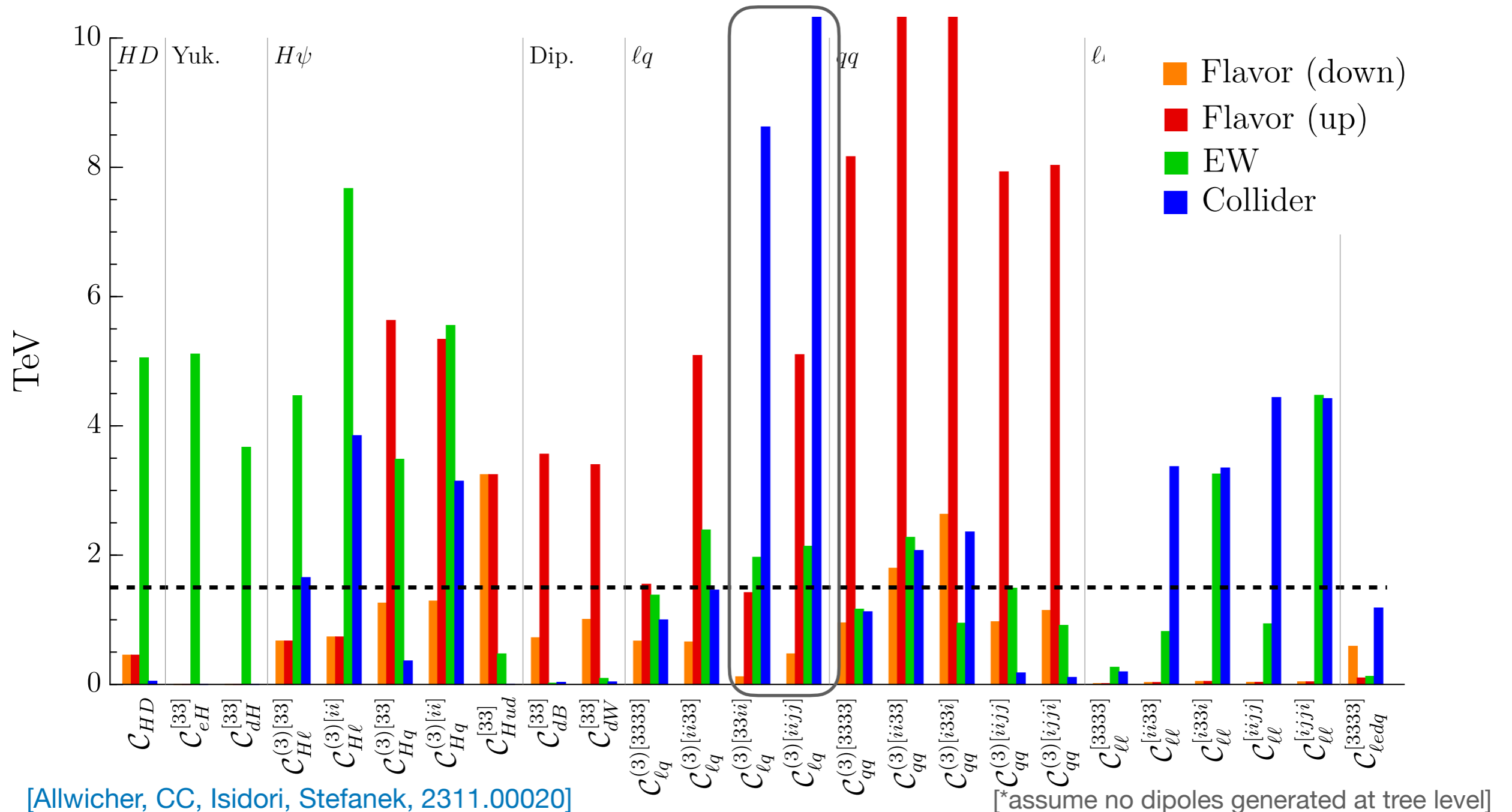
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- EW:**
- LEP dominates: 5 -10 TeV bounds for operators entering EWPOs at tree level.
 - Significant constraints on operators entering EWPO at one loop, sometimes competitive with direct searches. [eg semileptonic operators with 3rd family quarks]



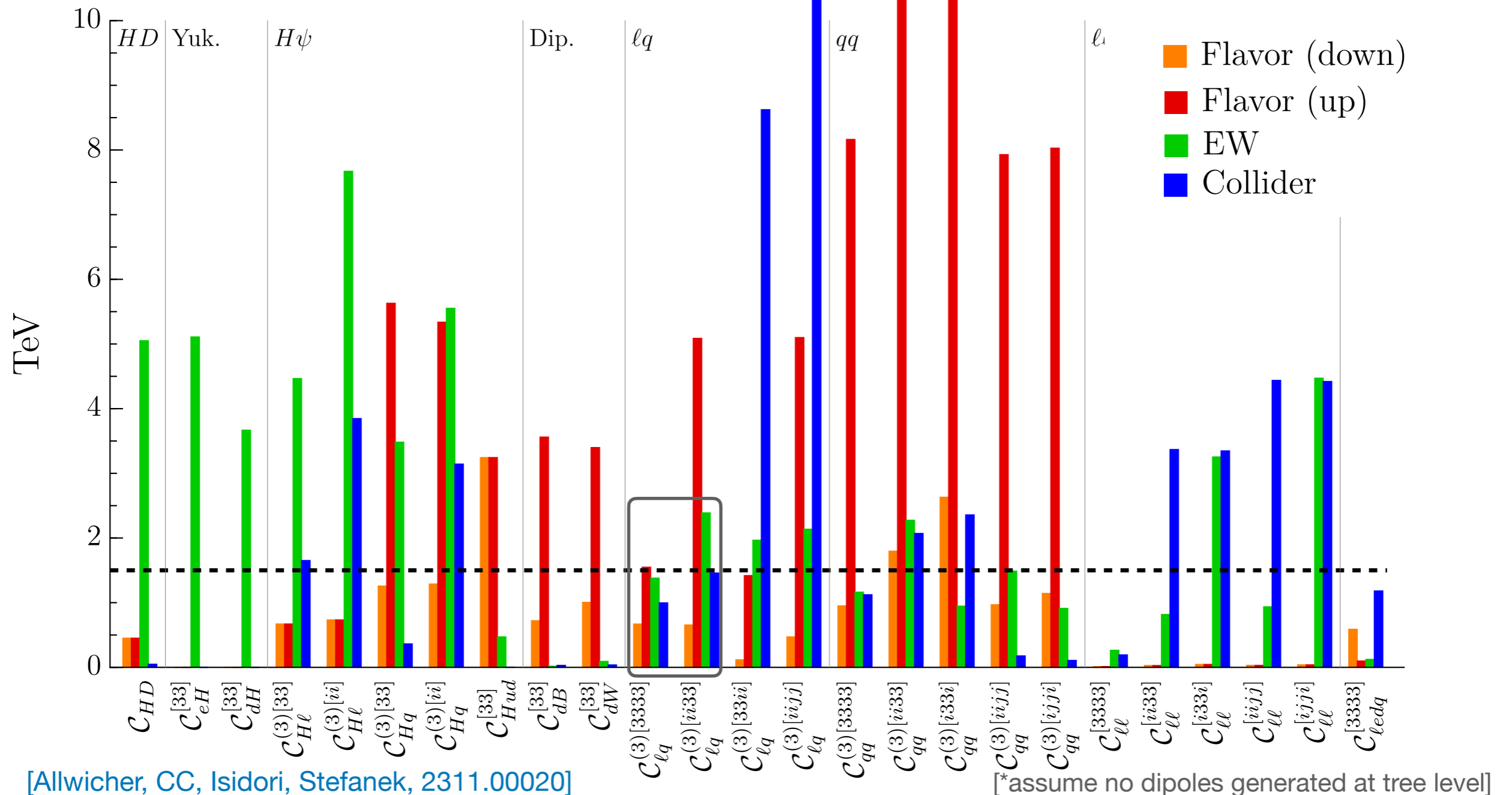
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Collider: • strongest bounds (~8 TeV) from Drell-Yan on ops. with light quarks



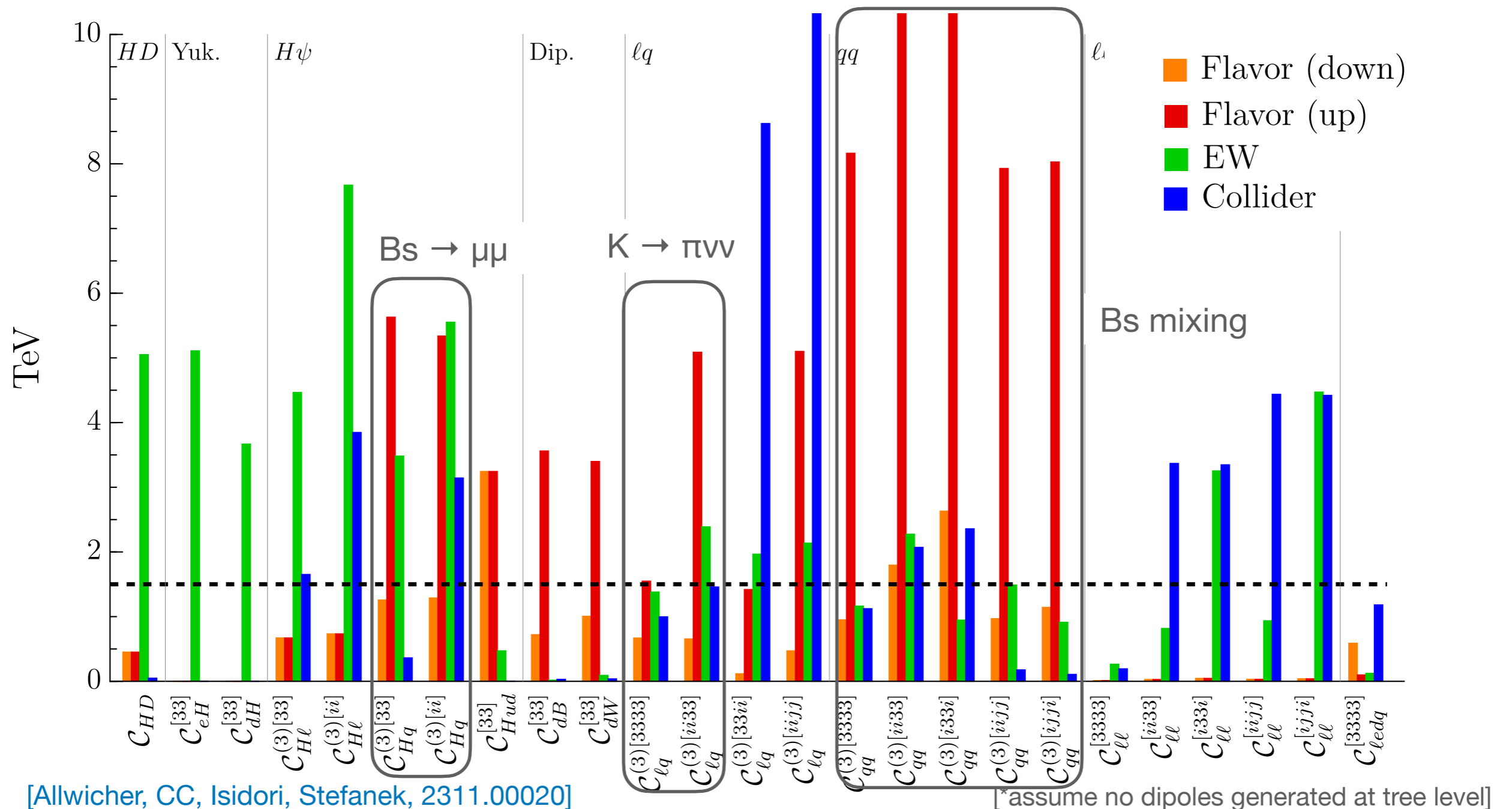
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- Collider:**
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 - 3rd family sees milder constraints (~ 1 TeV) due to proton composition



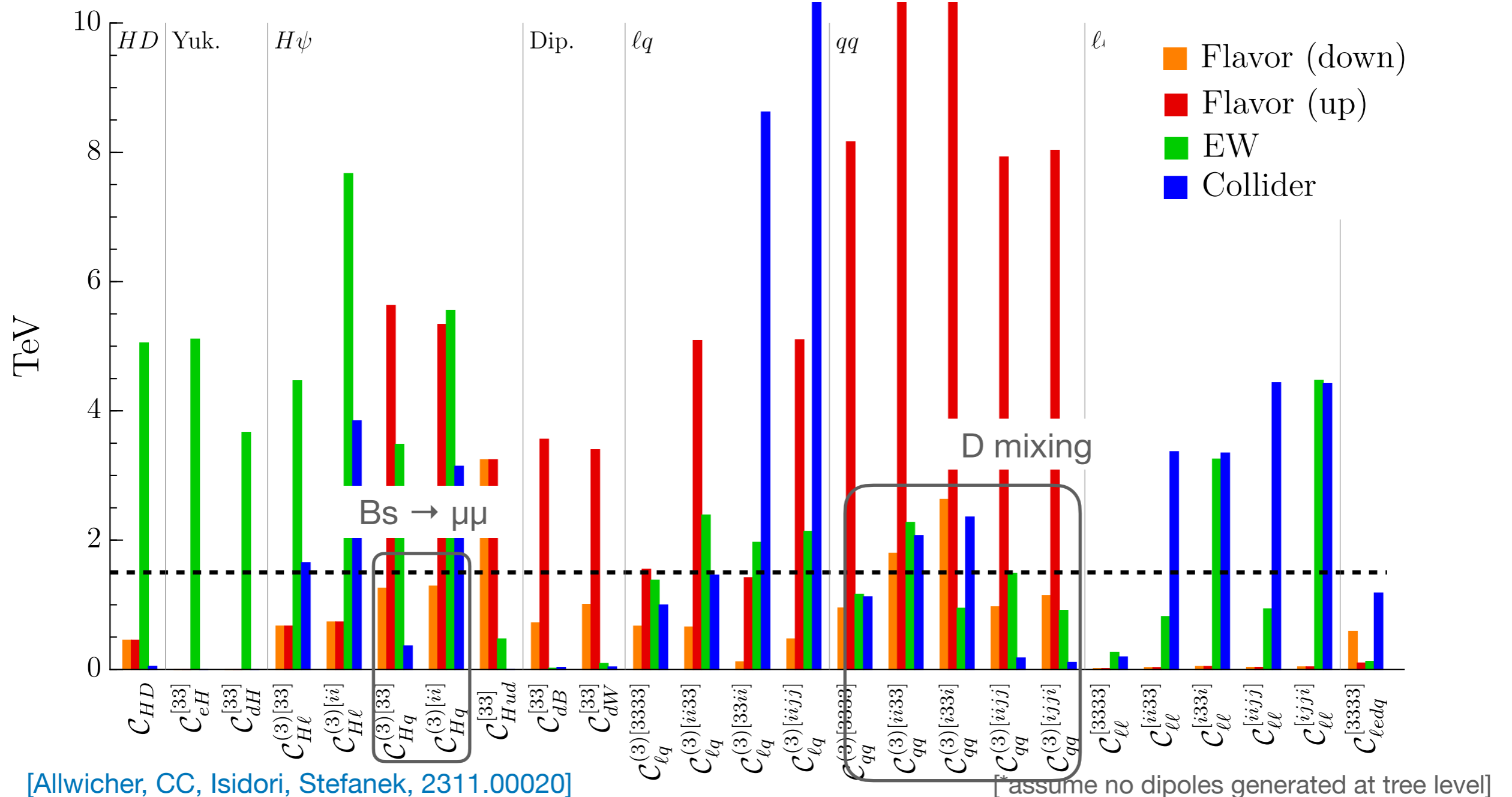
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Flavor: • up-aligned: strongest bounds (~ 10 TeV) from B_s mixing, $B_s \rightarrow \mu^+\mu^-$, $K \rightarrow \pi\nu\nu$.



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- Flavor:**
- up-aligned: strongest bounds (~ 10 TeV) from B_s mixing, $B_s \rightarrow \mu^+\mu^-$, $K \rightarrow \pi\nu\nu$.
 - down aligned: milder constraints (\sim few TeV) dominated by D mixing & $B_s \rightarrow \mu^+\mu^-$



The $U(2)$ -symmetric SMEFT, non-universal

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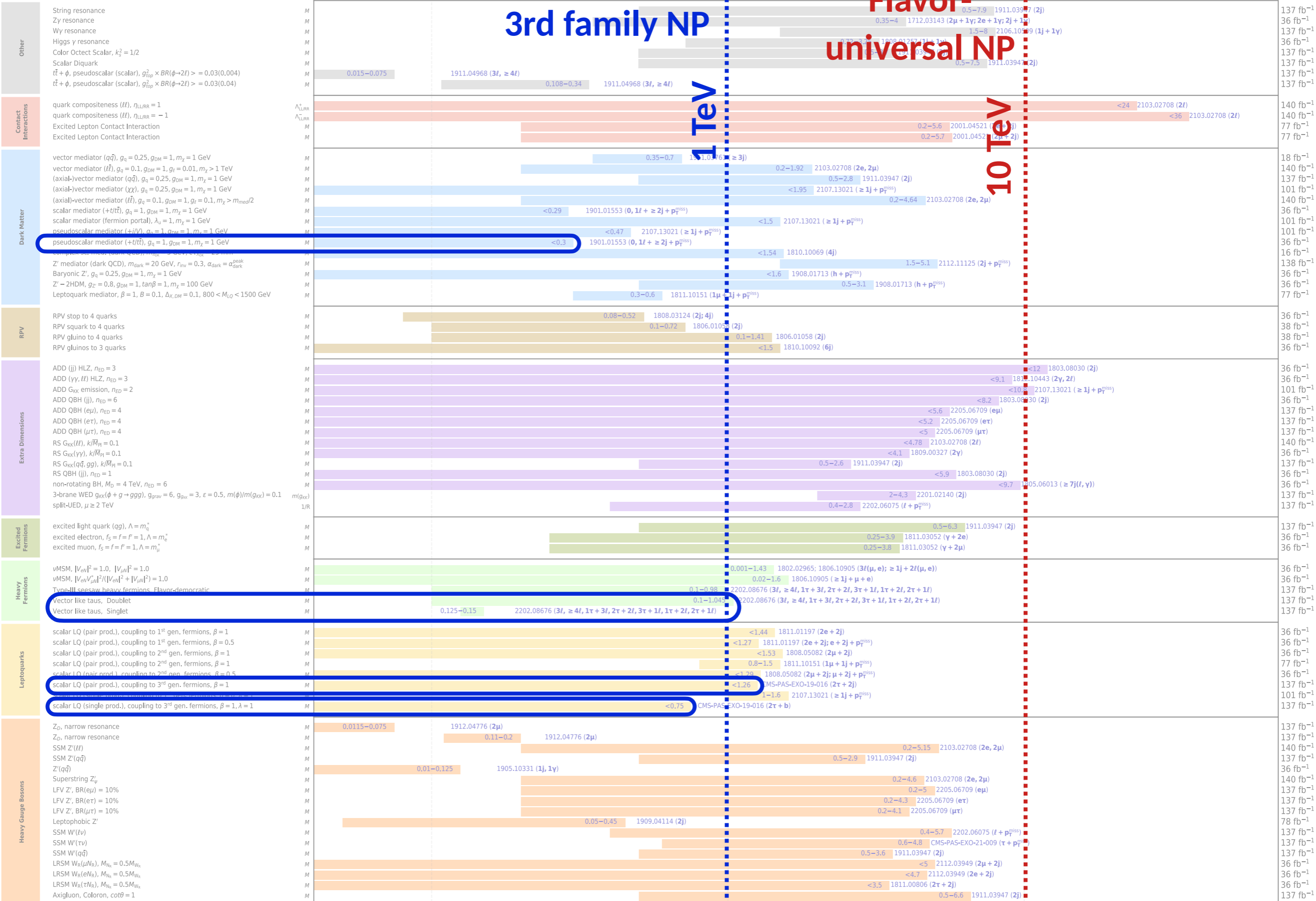
$U(2)^n$ allows to place a clear distinction between light & 3rd families, and can thus host **flavor-non-universal NP**, specifically NP **coupling dominantly** to the **3rd family**

$$\textcircled{1} = \textcircled{2} \neq \textcircled{3}$$

Different NP couplings for light families make it possible to suppress couplings to valence quarks and relax direct search bounds to 1 TeV.

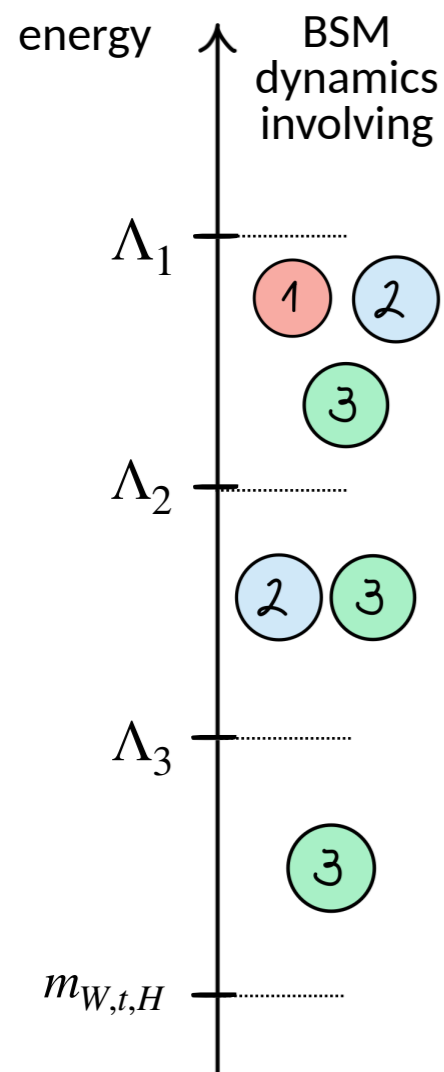
Overview of CMS EXO results

16-140 fb⁻¹ (13 TeV)



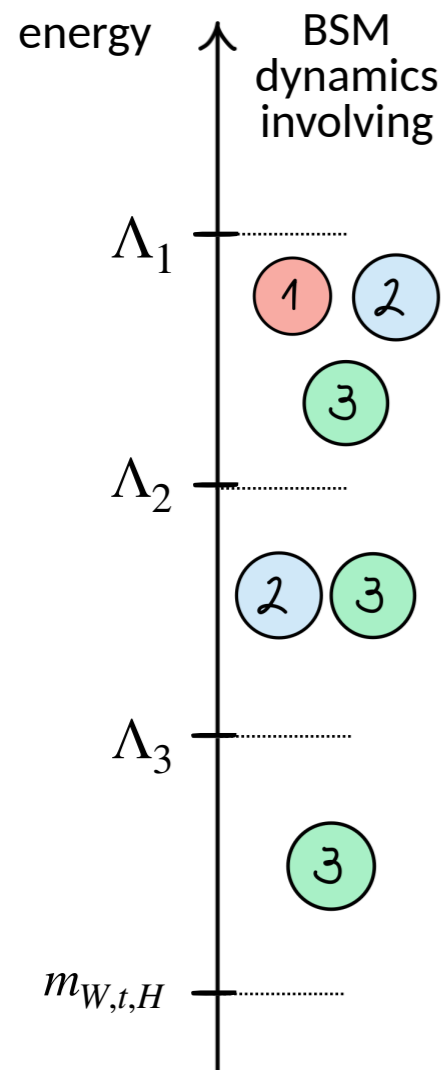
Flavor non-universality: the bigger picture

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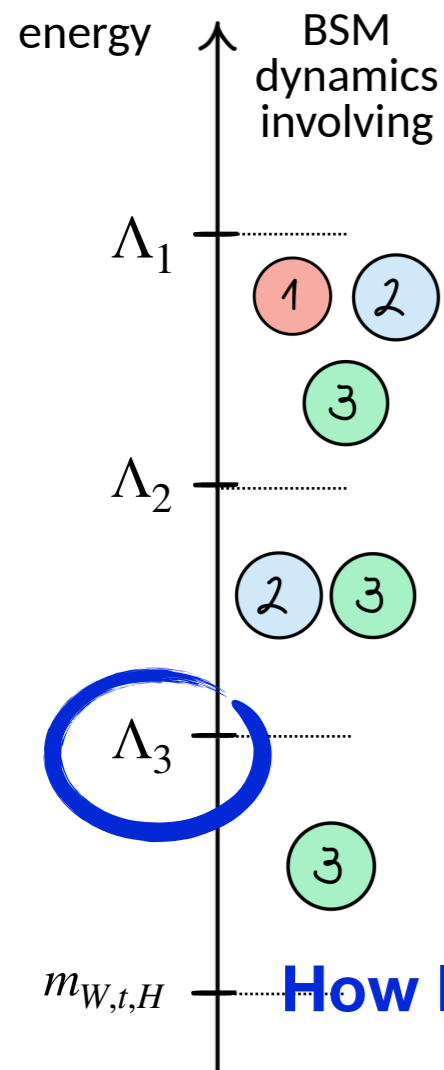
At high energies, the 3 **families** are **intrinsically different** objects.

Non-universal forces acting on the i -th SM family have characteristic scales $\Lambda_1 \gg \Lambda_2 \gg \Lambda_3 \gg m_W$.

The **flavor universality** of SM gauge interactions is an accidental **low-energy property**.

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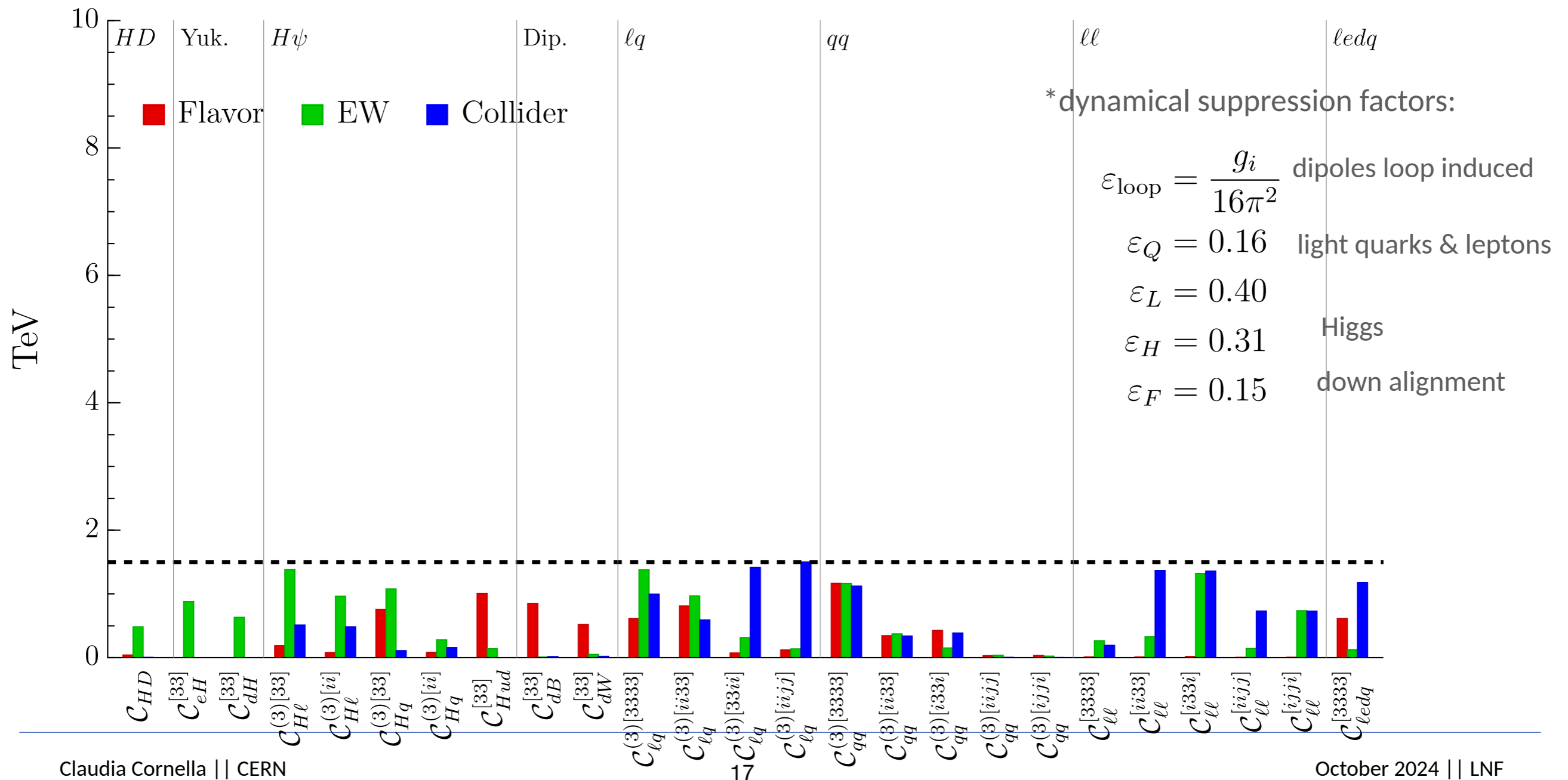
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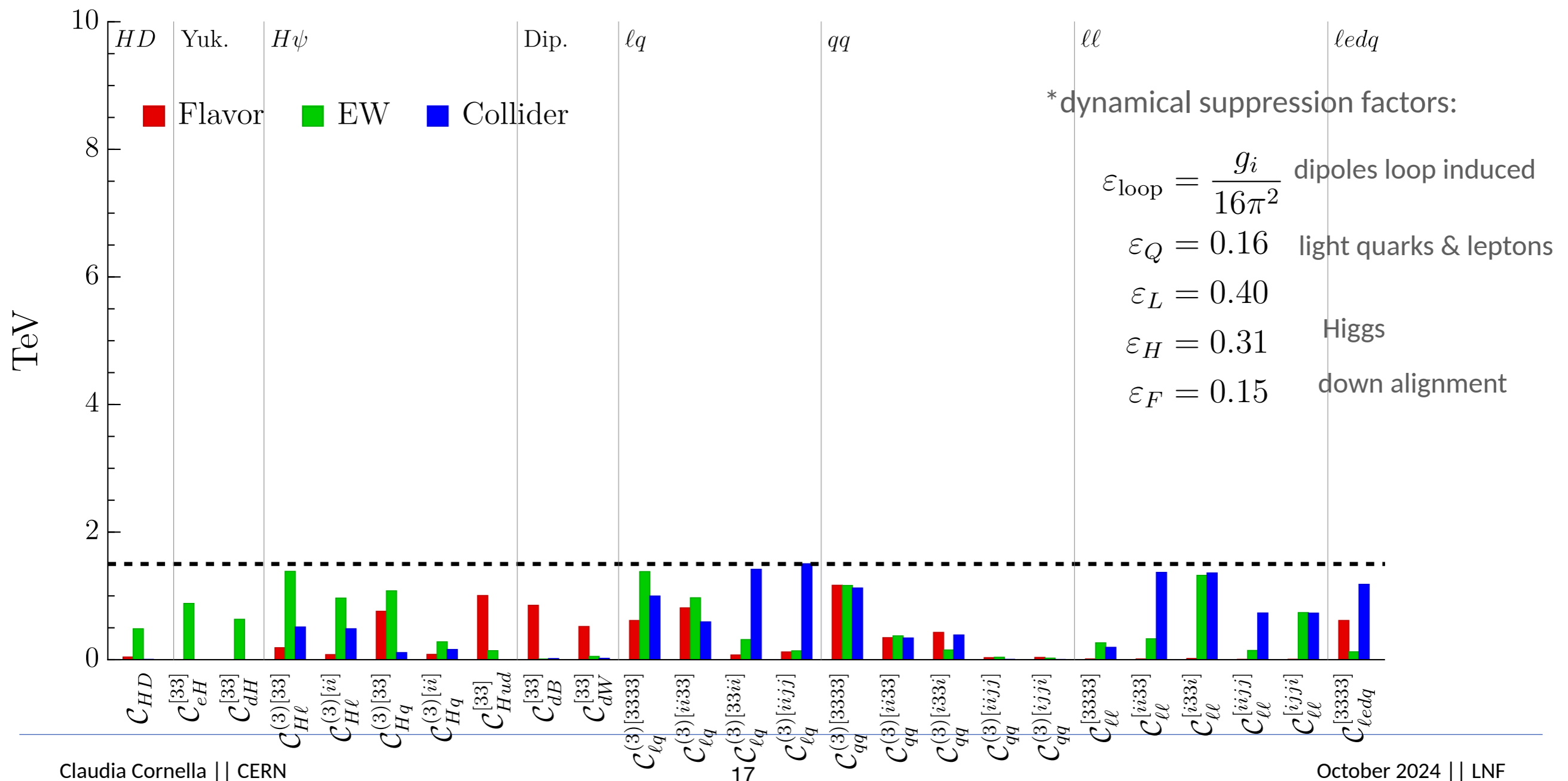
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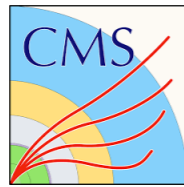
⇒ **3rd family NP is the closest motivated target for experimental exploration.**



The near future, at high p_T

Ratio of Uncertainties to SMEFiT3.0 Baseline, $\mathcal{O}(\Lambda^{-2})$, Marginalised

HL-LHC [here:



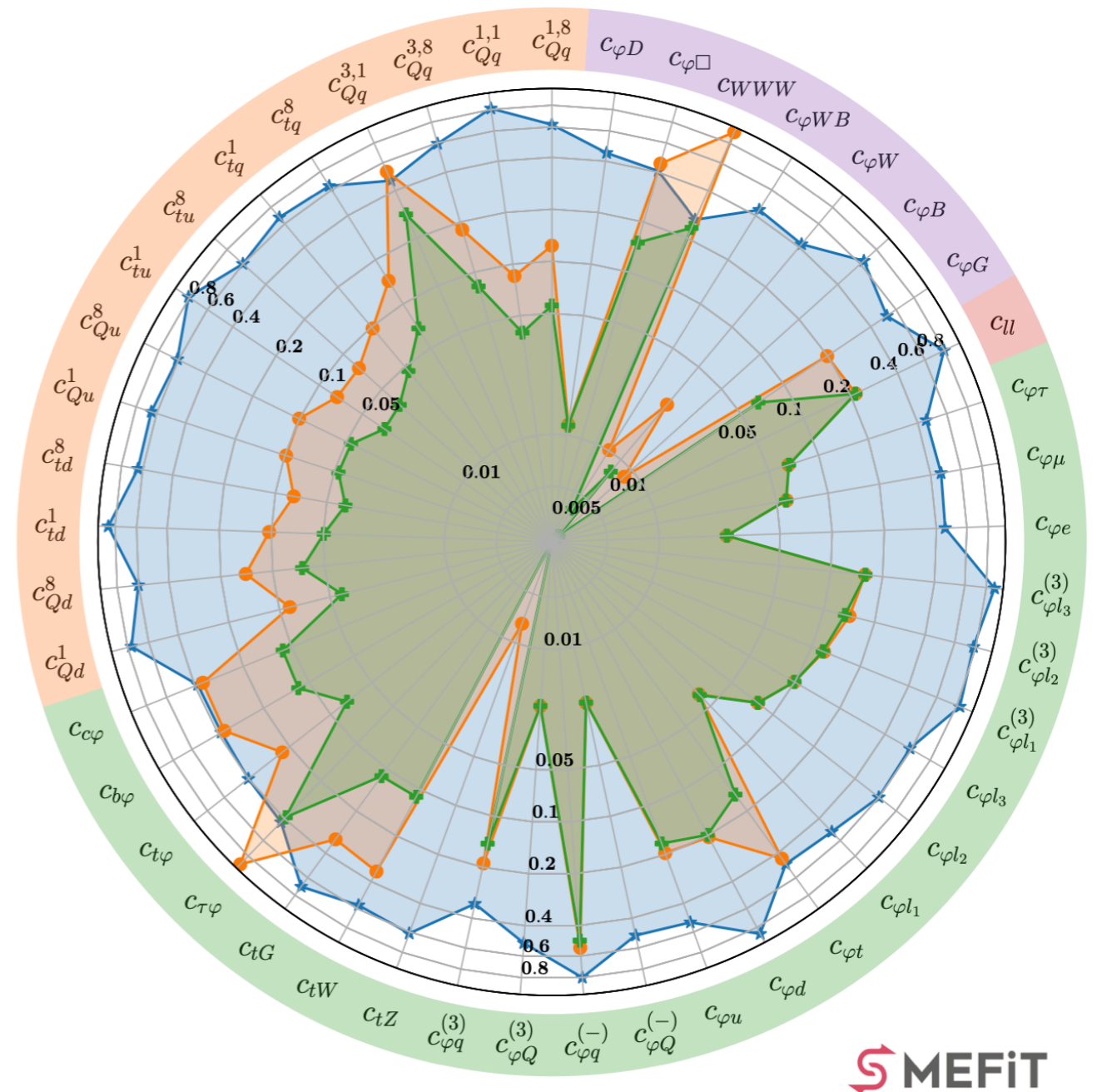
&



]

improvement in SMEFT Wilson coefficients bounds ranging from 20% to a factor 4

For semileptonic operators [Drell-Yan!] the expected improvement is ~ 4 , so 2 in the NP scale probed



★ HL-LHC
● SMEFiT3.0, individual

+ HL-LHC, individual

[E. Celada *et al*, 2404.12809]

The near future, at low pT

Currently,



- collected 1/2 of the Belle dataset, many ongoing analyses
- luminosity is not ramping up as well as planned



- run 3 ongoing, getting ready for upgrade 2
- plenty of data to analyse (many results still based on run 1+half of run 2)



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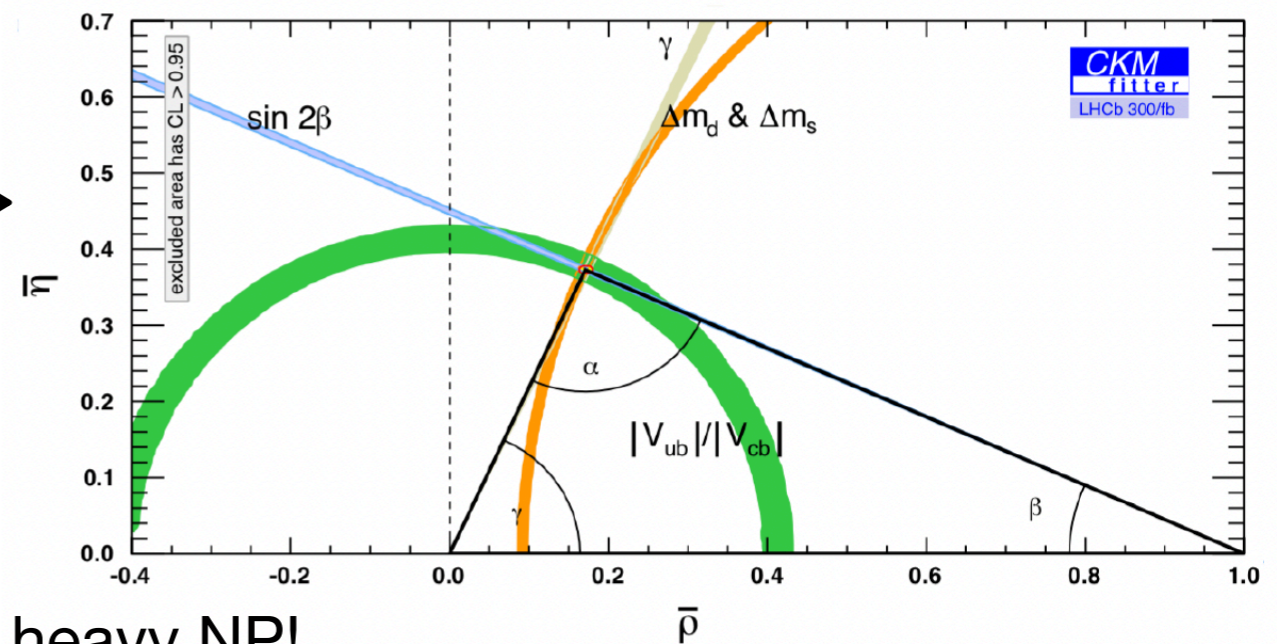
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In the **next 15 years**, LHCb & Belle II should collect **~100x** the **B mesons** they have now.

Among other, this means:

- CKM matrix elements $< 1\%$ →
- observe **CPV in B_s**
- measure CPV in **charm** precisely

! Important progress, as B_s and D mixing are already leading constraints on flavored heavy NP!



The near future, at low pT

Another observable leading current constraints is $B_s \rightarrow \mu^+\mu^-$

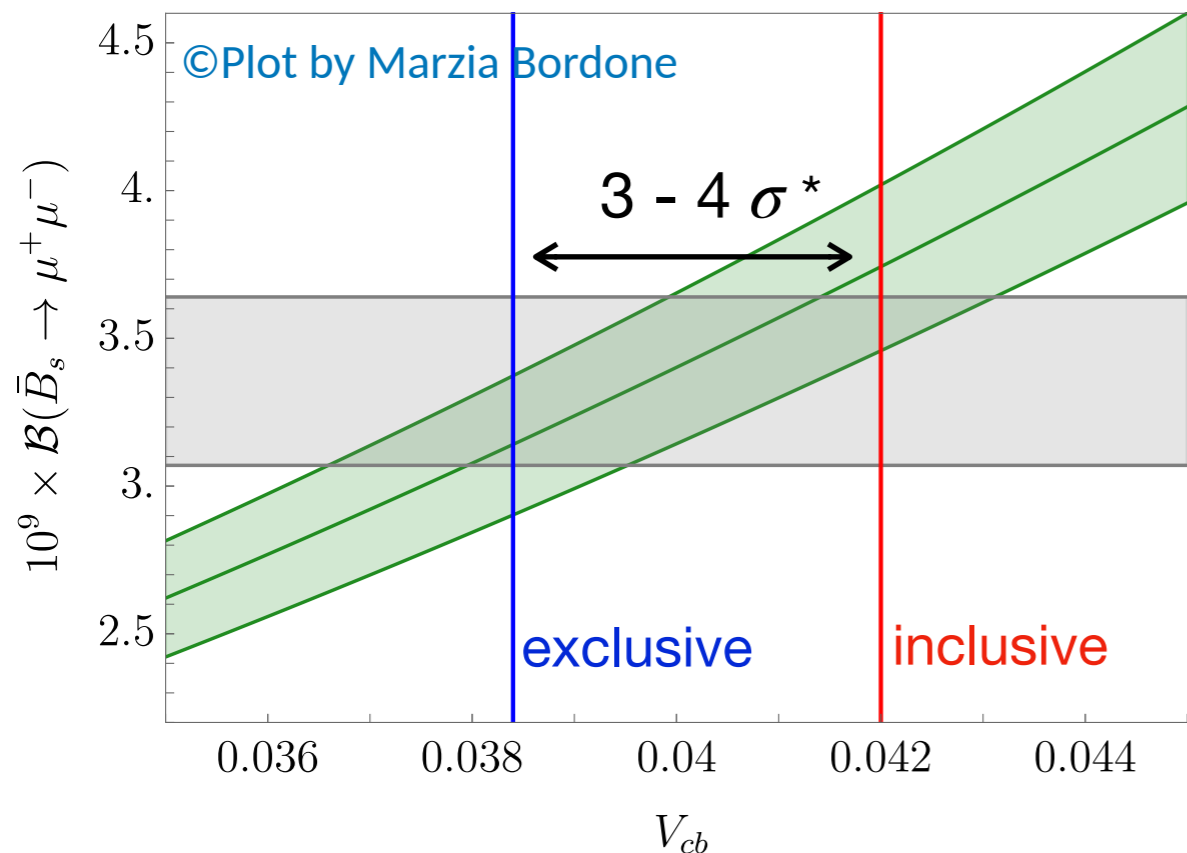
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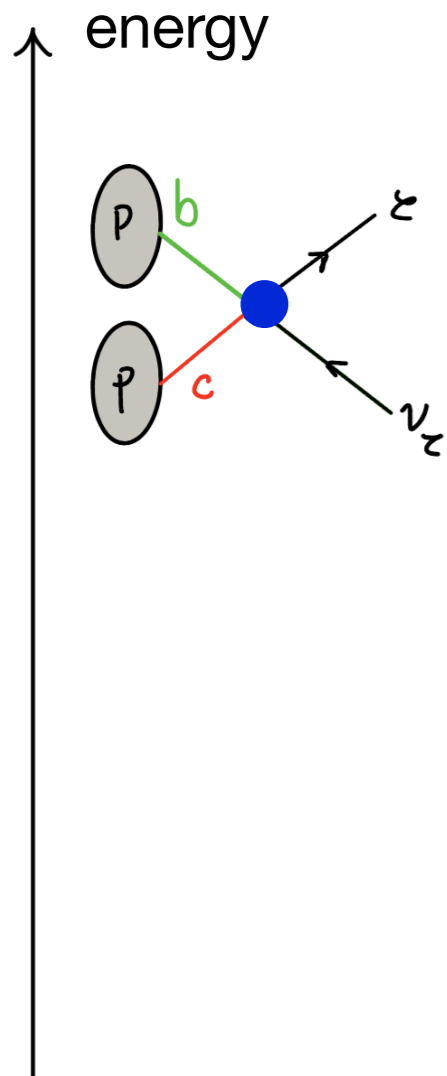
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Resolving the V_{cb} puzzle is crucial for leveraging this improved precision:



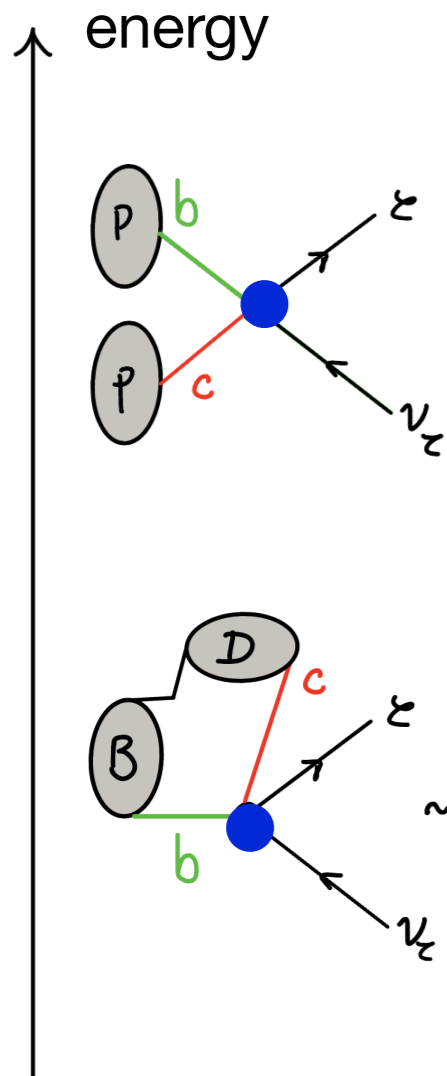
Inclusive consistent across various datasets, less consensus in the exclusive from $B \rightarrow D^*$. Work in progress to understand the tensions.

Probing 3rd-family new physics



- processes like $pp \rightarrow \tau\tau$, $pp \rightarrow \tau + \text{missing energy}$, $t\bar{t}$, $b\bar{b}$
- energy enhancement in tails helps overcome pdf suppression.

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- rare transitions between 3rd and light families: **B** & **tau** physics
- here focus on **semileptonic** transitions:

neutral currents $b \rightarrow s(d)\ell\ell^{(\prime)}$, $b \rightarrow s(d)\nu\nu$

charged currents $b \rightarrow c(u)\ell\nu$

Probing 3rd-family new physics in neutral currents

- Probing $b \rightarrow s\tau\tau$ directly is experimentally very challenging:
Even with full LHCb and Belle II dataset, the bounds will exceed the SM by 10^{2-3} .

	CURRENT BOUND	PROJECTIONS	SM PREDICTION
$\mathcal{BR}(B^+ \rightarrow K^+ \tau^+ \tau^-)$	$< 2.25 \cdot 10^{-3}$ @ 90% CL Babar	$< 6.5 \cdot 10^{-5}$ @ 90% CL Belle 2 $5ab^{-1}$	$(1.4 \pm 0.2) \cdot 10^{-7}$
$\mathcal{BR}(B_s \rightarrow \tau^+ \tau^-)$	$< 6.8 \cdot 10^{-3}$ @ 95% CL LHCb	$< 5 \cdot 10^{-4}$ @ 95% CL LHCb $300 fb^{-1}$	$(7.73 \pm 0.49) \cdot 10^{-7}$

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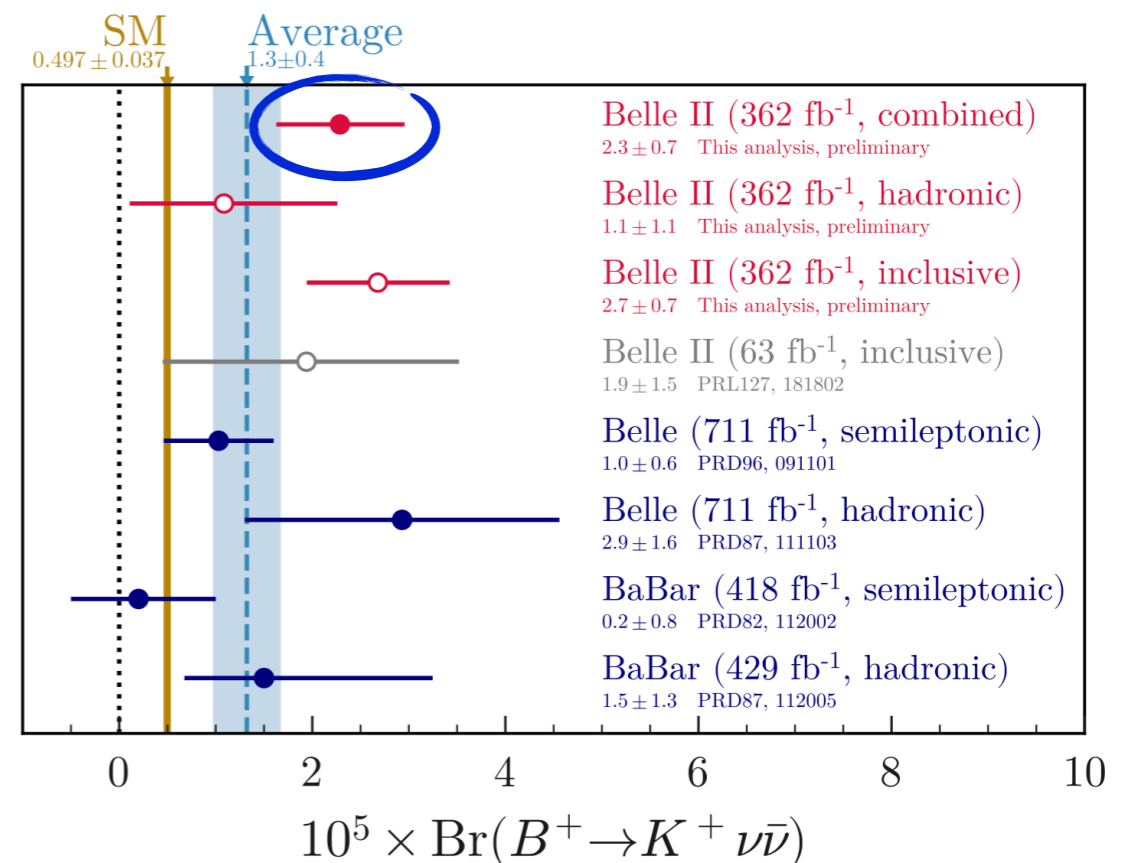
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- Currently the only accessible FCNC directly sensitive to 3rd family leptons is $B \rightarrow K\nu\bar{\nu}$

First evidence by Belle II,
combined result 2.7σ above the SM

Work ongoing on $K^{*0,+}$ and K_S modes.

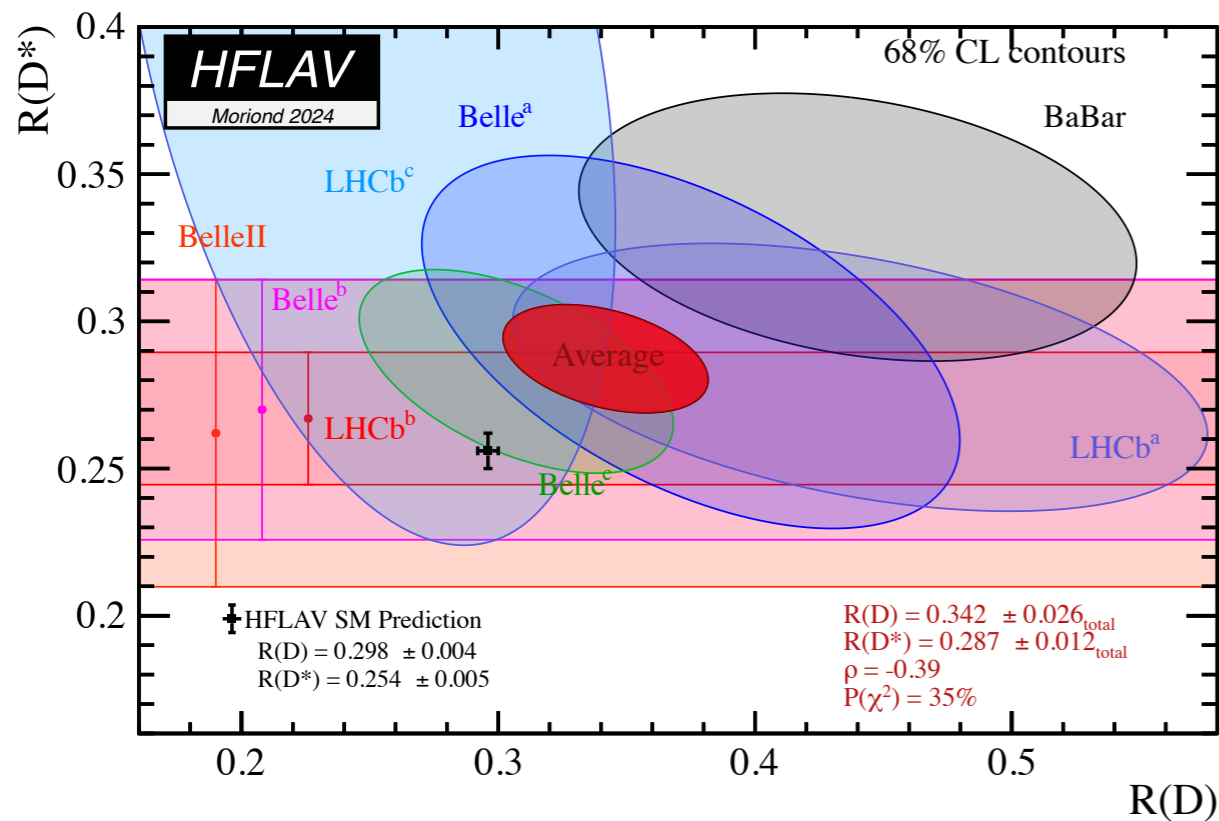
Final goal is 10% precision.



Probing 3rd-family new physics in charged currents

$$R_{D^{(*)}} = \frac{\mathcal{B}(B \rightarrow D^{(*)}\tau\bar{\nu})}{\mathcal{B}(B \rightarrow D^{(*)}\ell\bar{\nu})} \quad [\ell = e, \mu]$$

Current status



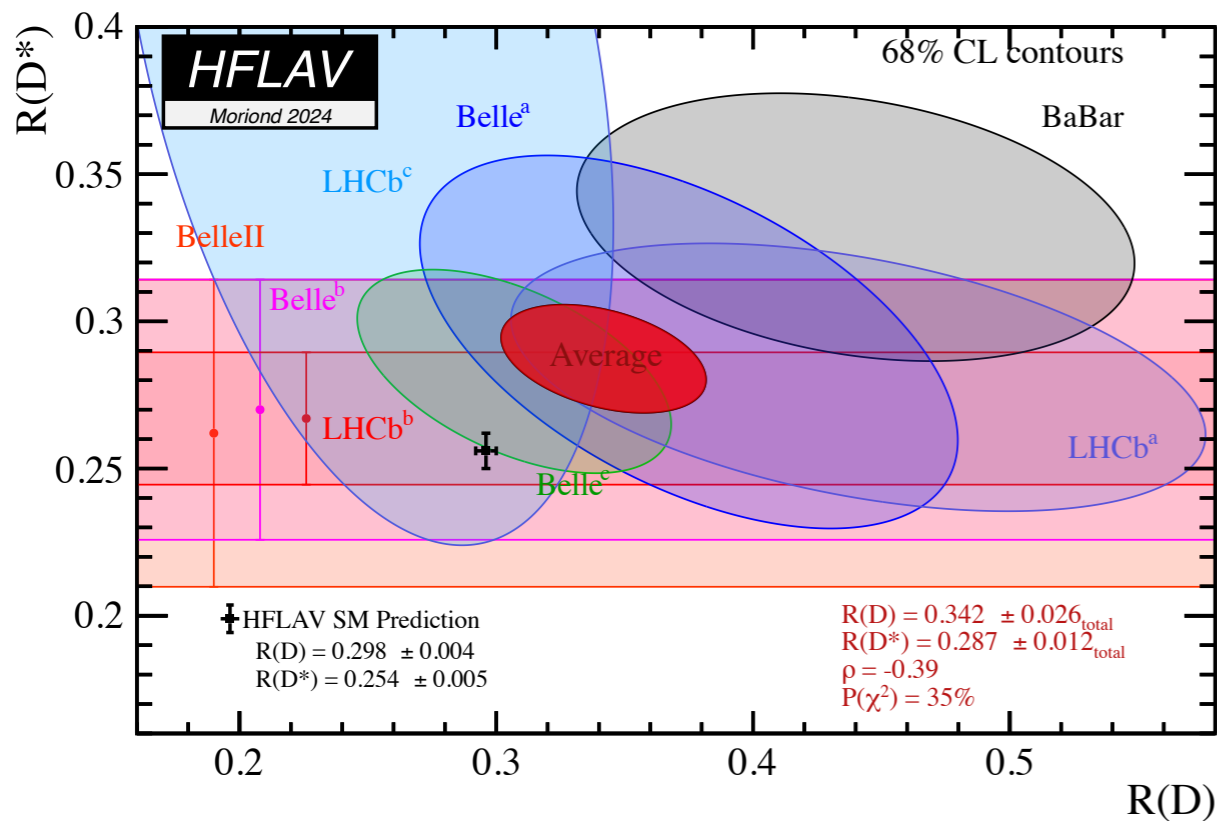
~ 10% enhancement [tau mode]

≈ 3σ tension w.r.t. SM

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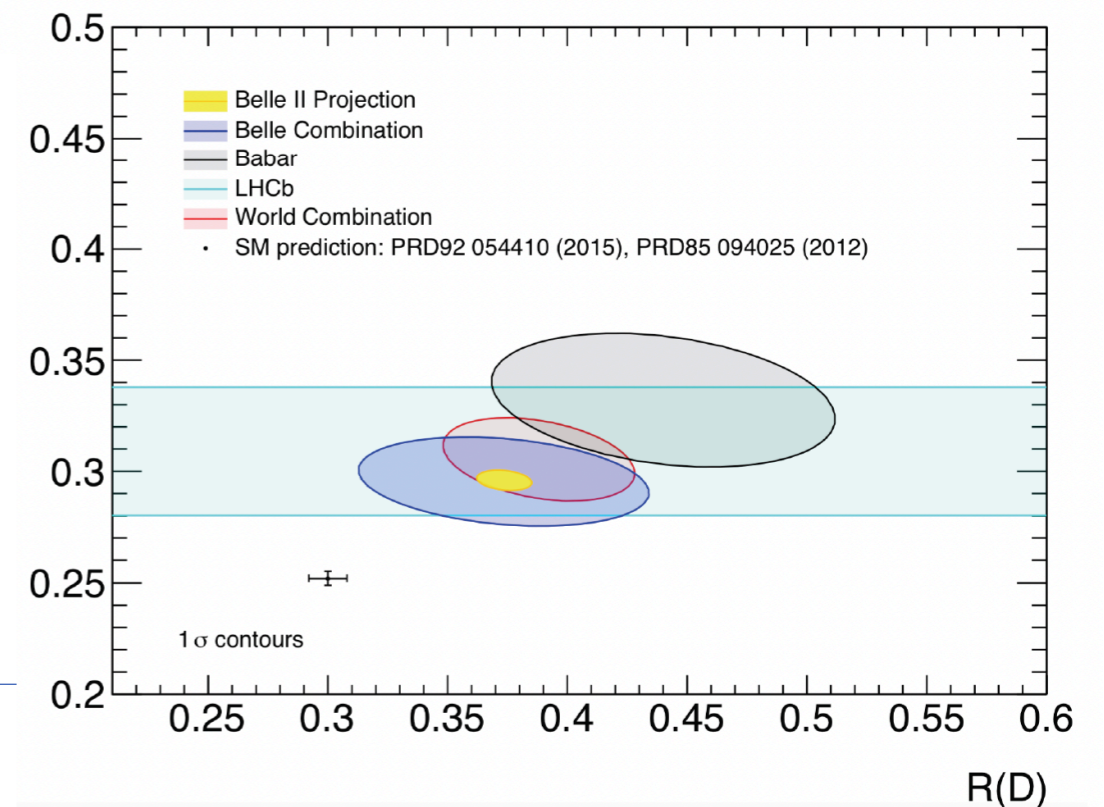
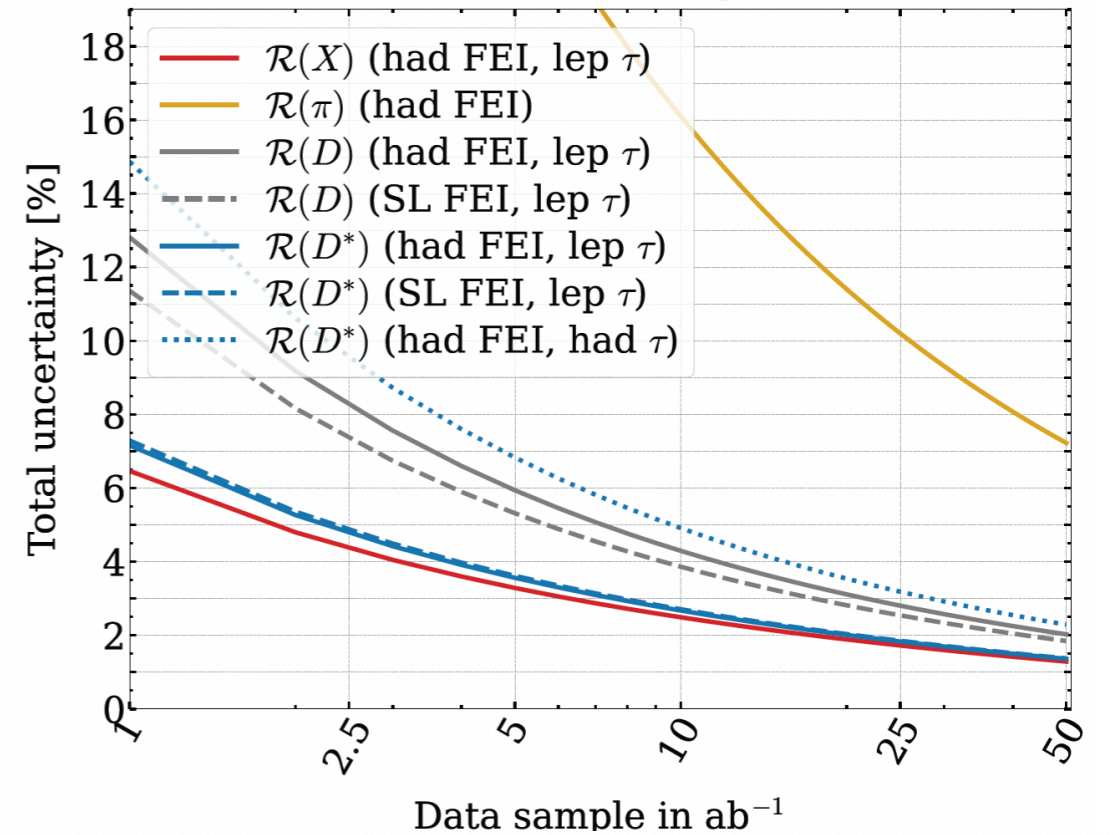
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~ 10% enhancement [tau mode]
 $\approx 3\sigma$ tension w.r.t. SM

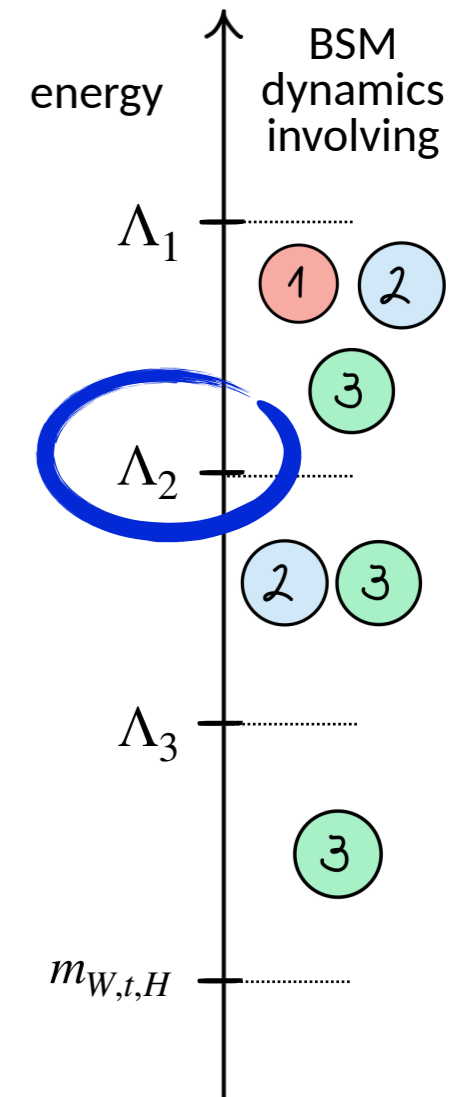
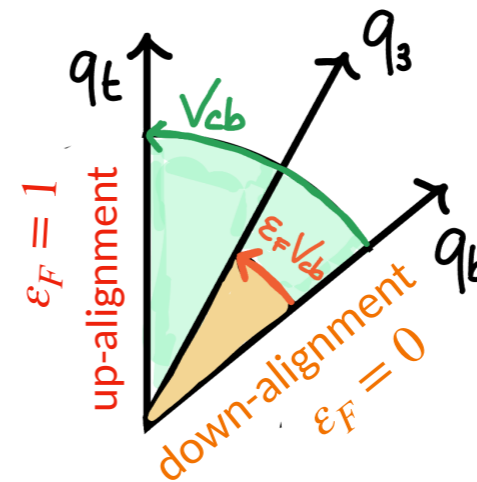
Belle II projections



Probing 3rd-family new physics with kaons

Rare kaon decays ($s \rightarrow d$ FCNCs)

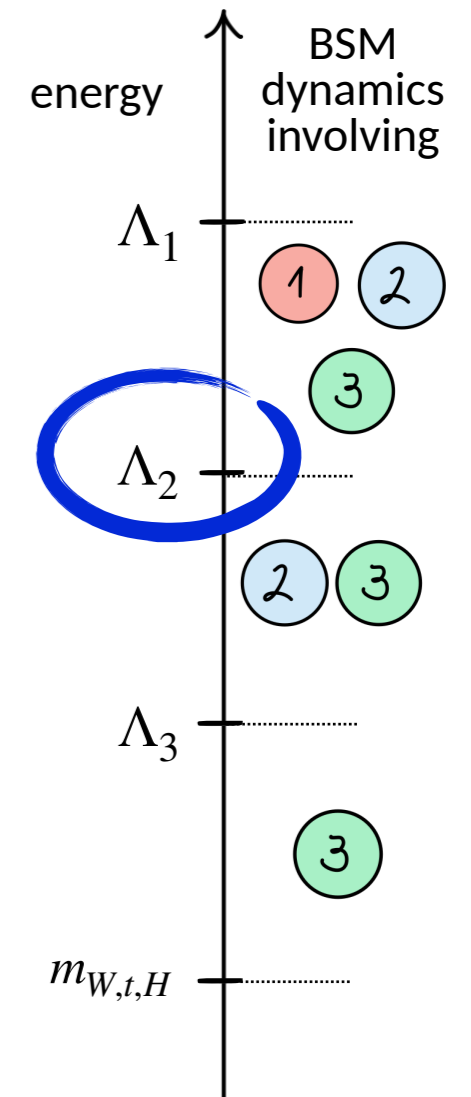
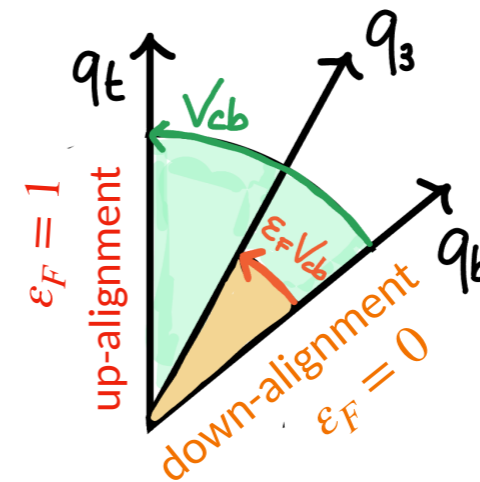
- complementary to $b \rightarrow s$ in determining the orientation of 3rd family in flavor space
- allow us to probe $U(2)_{q,d}$ breaking in the 21 sector, related to the “next threshold”, Λ_2
- For NP modes with a CKM-like structure, typically correlated with $B \rightarrow K\nu\bar{\nu}$



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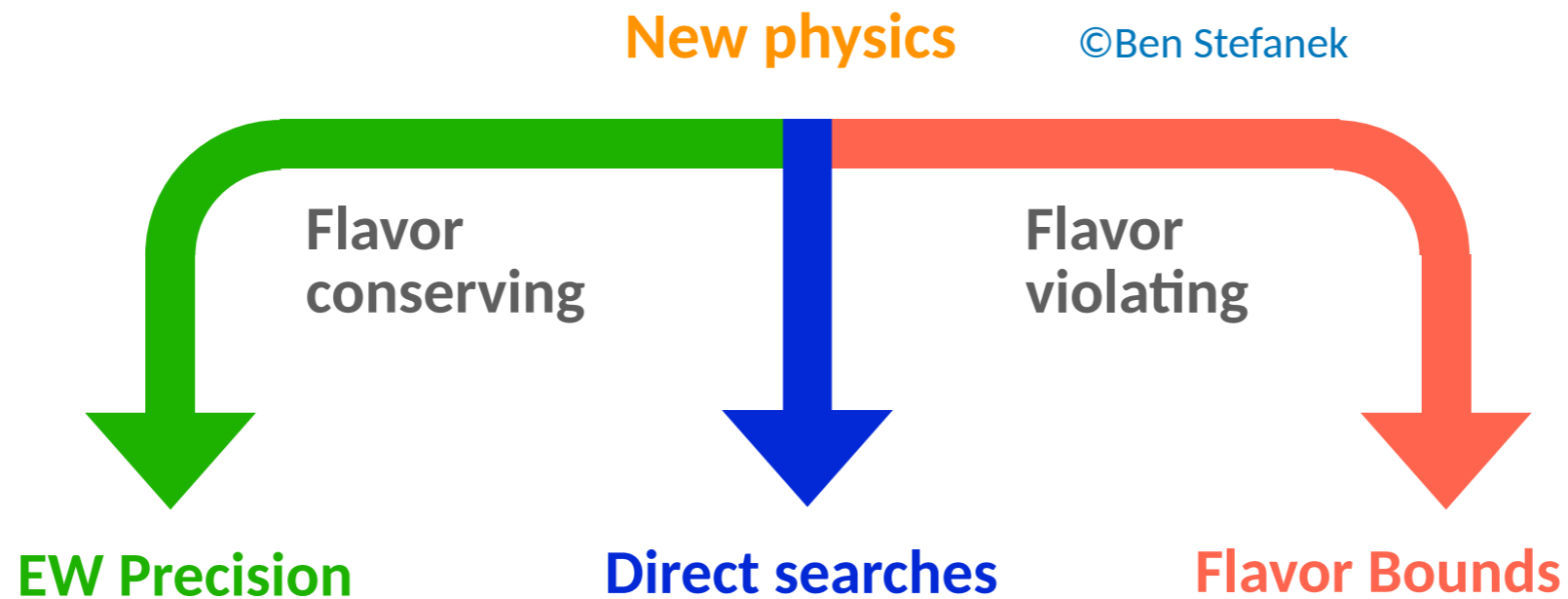
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$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ is special:

- only rare K decay from which short distance information is accessible
- sole opportunity to get a clean B vs K comparison in the same transition, if similar precision ($\sim 10\%$) is achieved

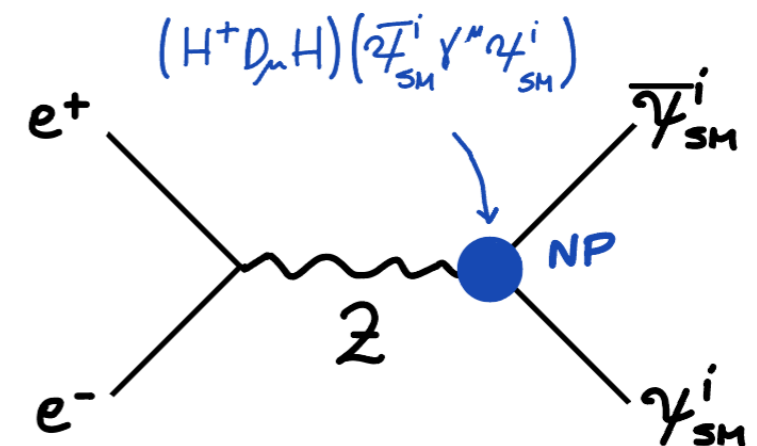
Electroweak Precision as a Flavor Probe



3rd family NP is “protected” against direct searches at the LHC & flavor bounds, but not against **EW precision tests**.

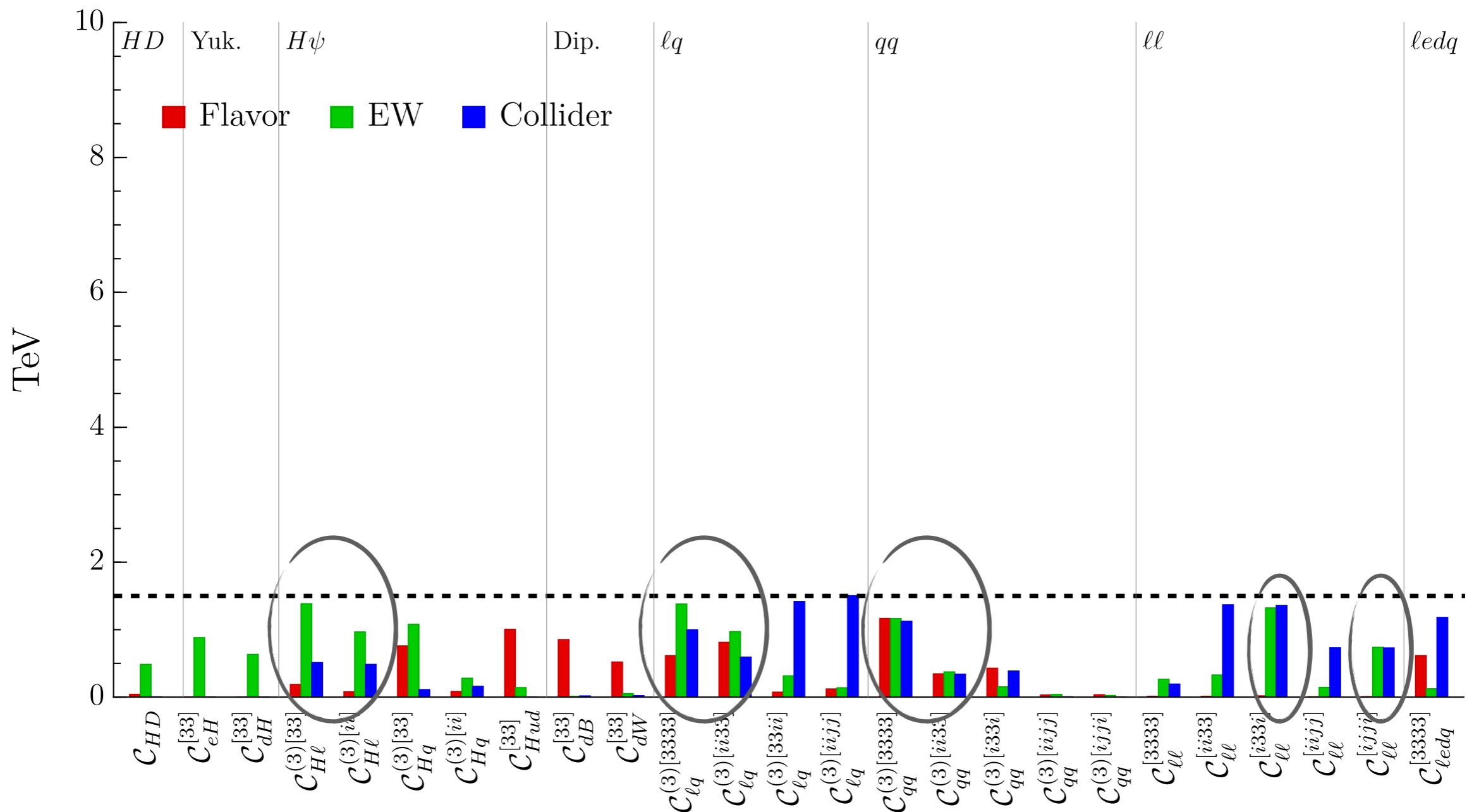
At a Z factory, we can use the flavor blindness of the SM gauge interactions to indirectly probe NP coupled to **any** generation.

⇒ EWPT are powerful probes of flavor non-universality



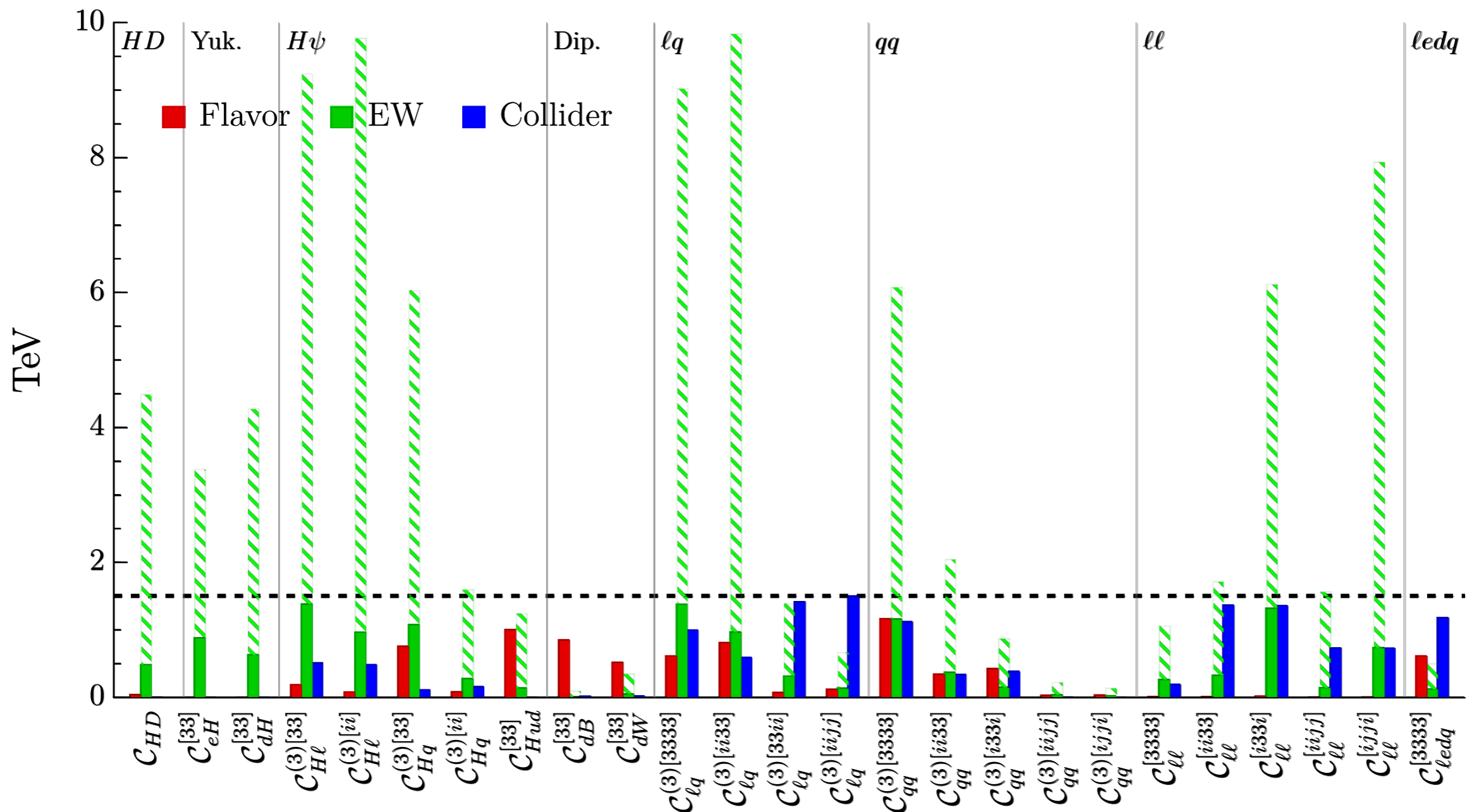
Perspectives at Tera-Z: EW precision tests

LEP bounds have a strength **comparable** to current **direct searches** for operators involving mostly the 3rd generation:



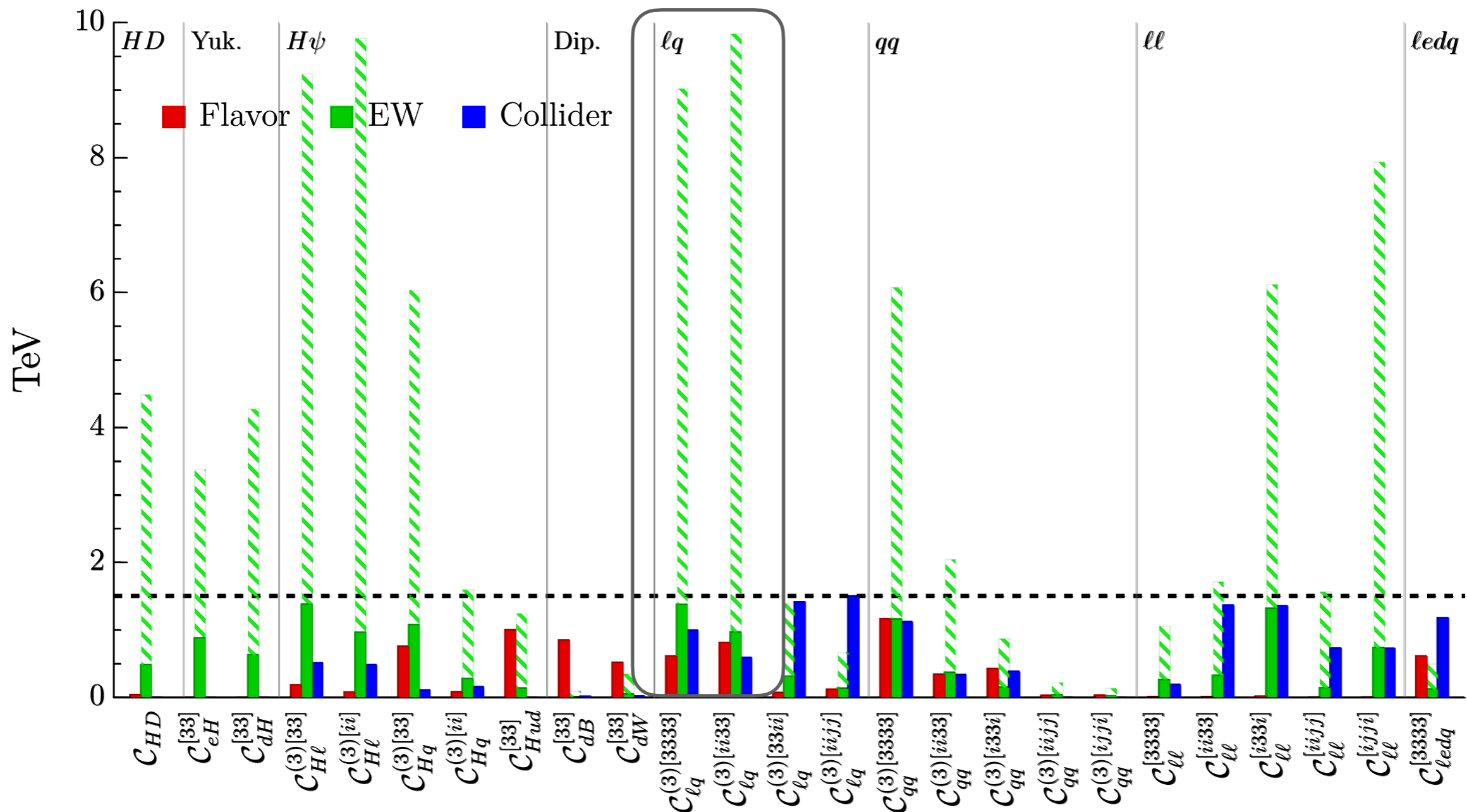
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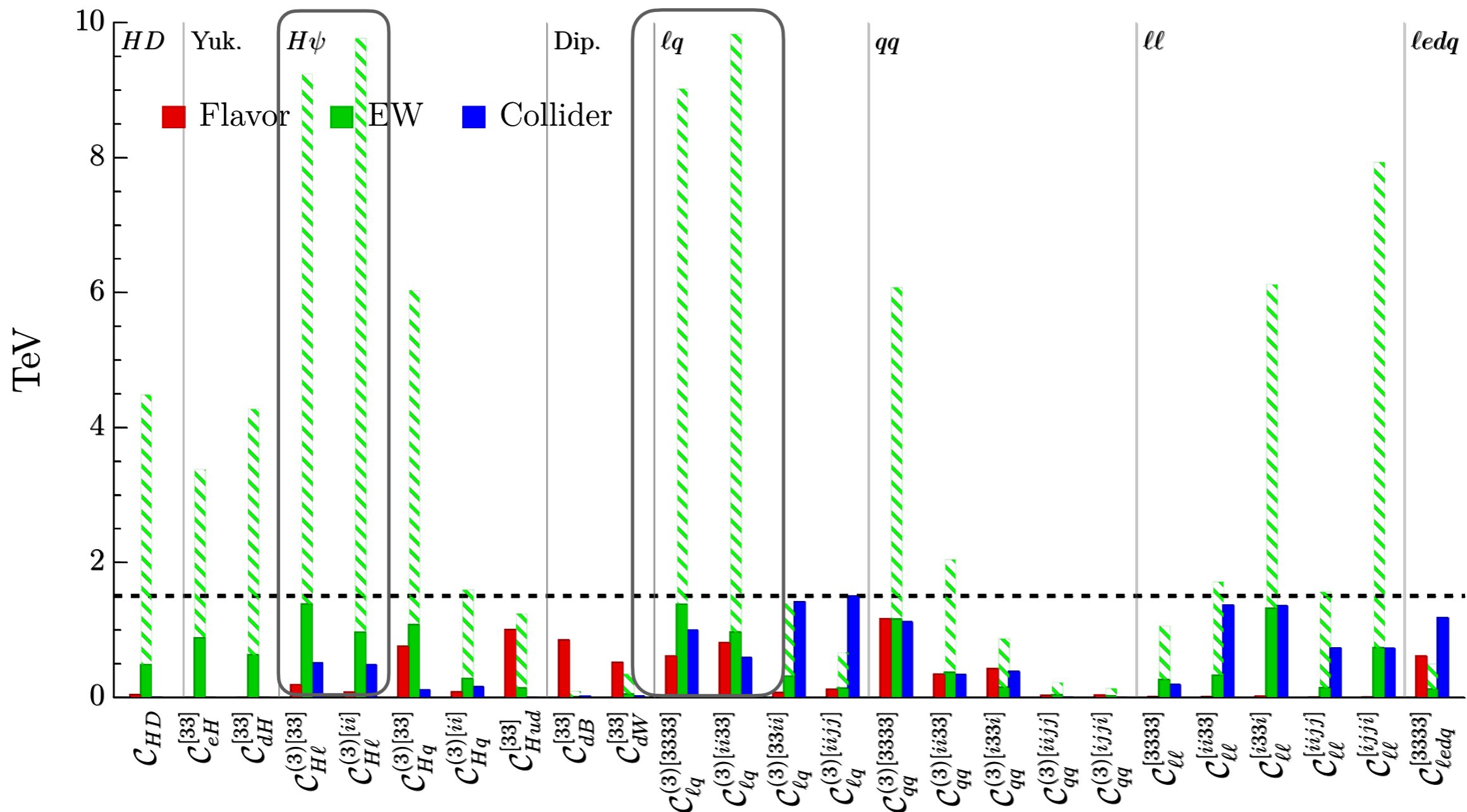
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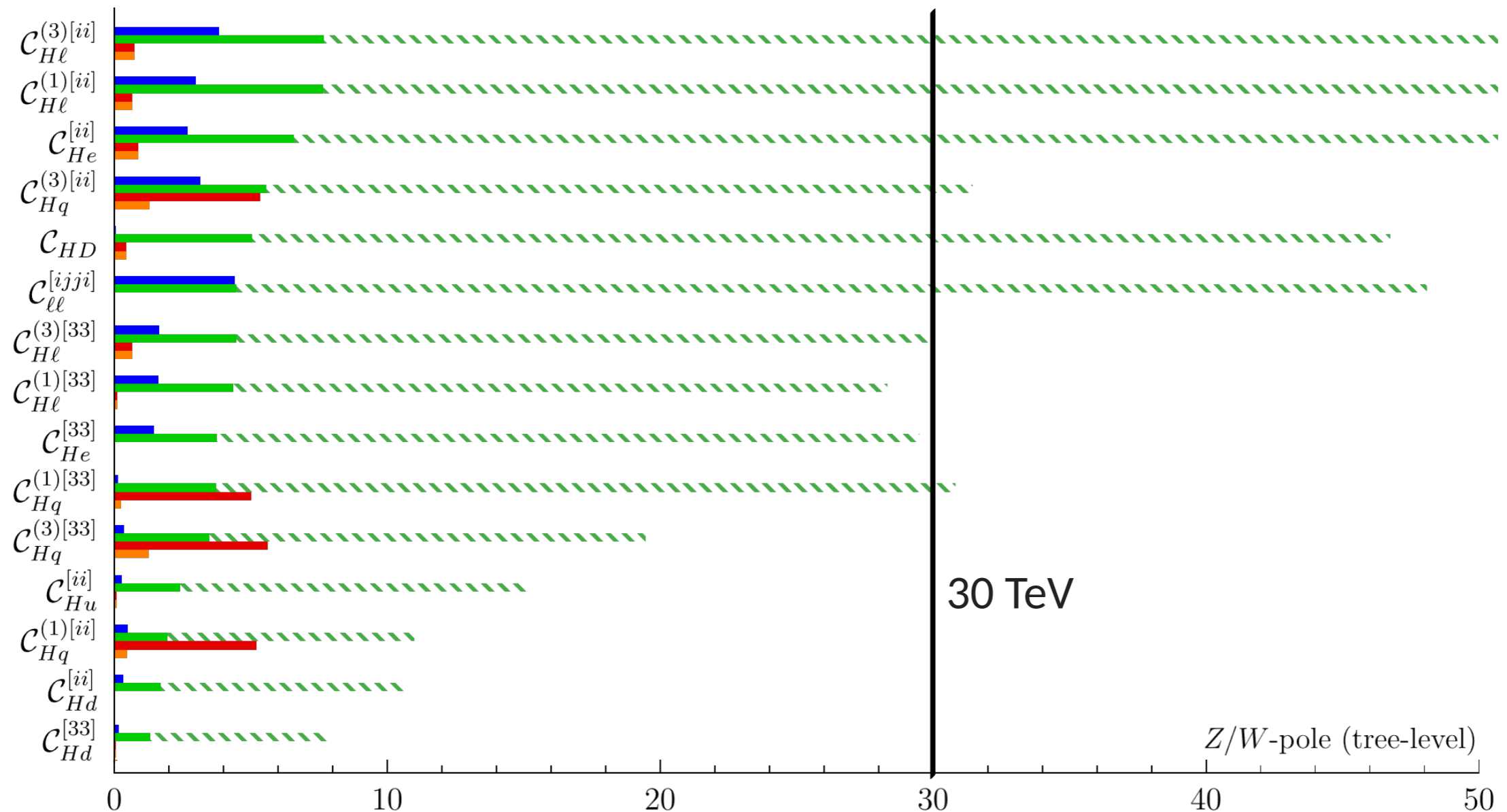
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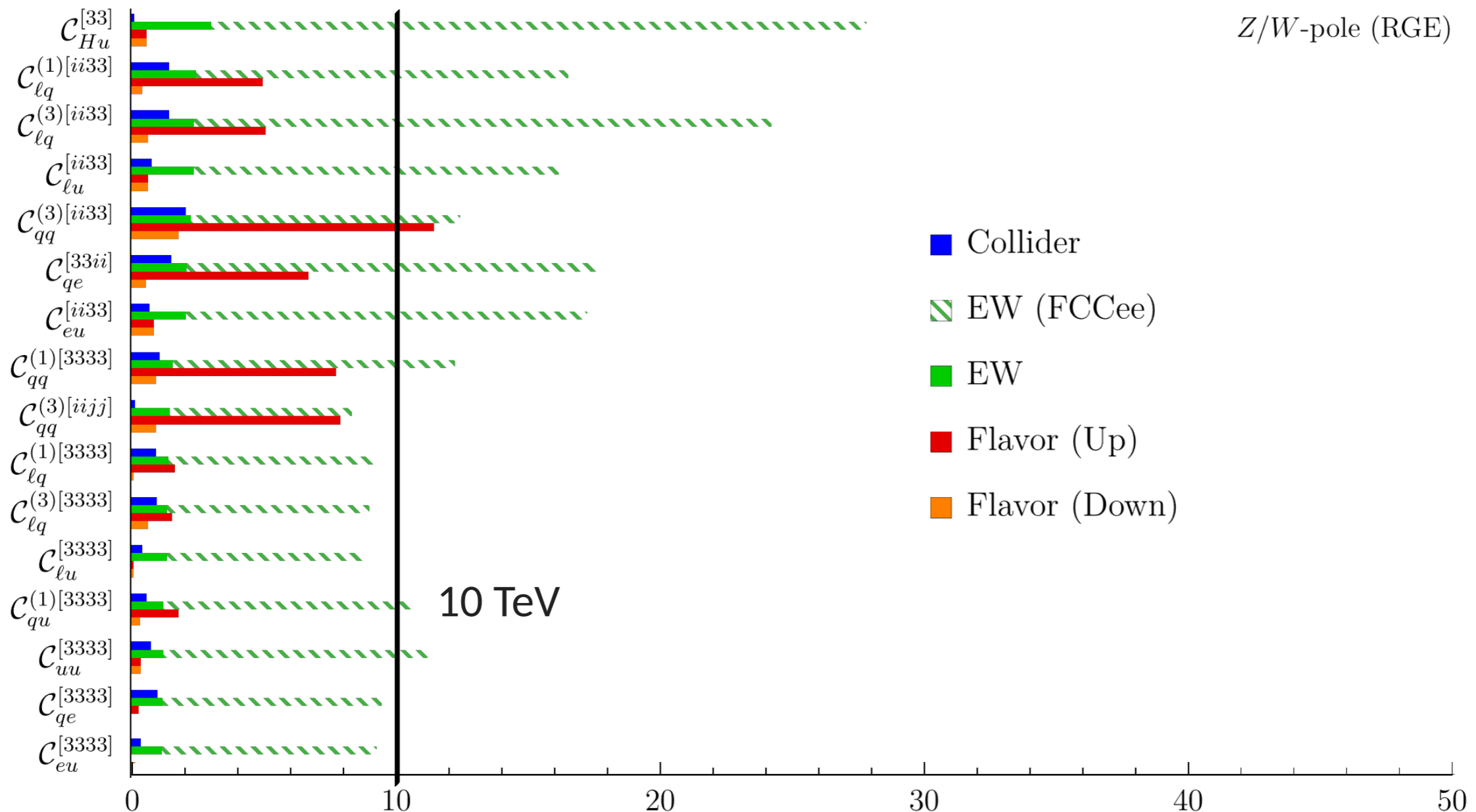
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Perspectives at Tera-Z: EW precision tests

For flavor universal NP,

- operators entering Z-pole observables at tree-level get bounds of 30-50 TeV
- 4-fermion operators involving third-family quarks get bounds ~ 10 TeV



Perspectives at Tera-Z: heavy flavours

A tera-Z machine is a powerful **heavy-flavor factory**. For **FCC-ee**:

Particle production (10^9)	B^0/\bar{B}^0	B^+/B^-	B_s^0/\bar{B}_s^0	B_c^+/\bar{B}_c^-	$\Lambda_b/\bar{\Lambda}_b$	$c\bar{c}$	$\tau^+\tau^-$
Belle II	27.5	27.5	n/a	n/a	n/a	65	45
FCC-ee	620	620	150	4	130	600	170

[FCC Snowmass Summary, 2203.06520]

Clean environment and **boosted** topologies are **advantages** with respect to Belle II & LHCb, and will allow for major advancement in B & tau physics.

Among others:

- precise measurements of $b \rightarrow s\tau\tau$ & $b \rightarrow s\nu\nu$, incl. $b \rightarrow d$ counterpart
- access to heavier b-hadrons: B_c , B_s , Λ_b
- LFU tests in τ decays at the 10^{-4} level

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Disclaimer: no dedicated studies yet, just personal thoughts!

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In any case, I think that **any direct or indirect discovery at a 100 TeV collider would almost certainly be preceded by an anomaly indirect precision measurements e.g. at a tera-Z machine (EWPT or flavor observables).**

If I could choose, I'd rather not skip e^+e^- .

Conclusions

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Looking forward, a tera-Z machine like FCC-ee is ideal in testing these scenarios

- unprecedentedly precise **EWPT** that cannot be bypassed by flavor symmetries
- major advancements in **tau** and **B physics**, with access to new channels

If we firmly establish **any** anomaly, it will help design a future hadron collider, potentially creating a no-lose situation for **FCChh**.