

Quantum Gravity & Flavor

Probing New Frontiers with Neutrinos

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Rome, Italy

Open Questions in the SM:

Neutrino Masses,
Flavor Puzzle,
Baryogenesis,
Dark Matter,
Dark Energy,
Hierarchy Problem...

**WE'VE GOT GUTS,
SUSY, FLAVOR SYMMETRIES...**

**But what's that
shadowy place over there?**

**THAT'S GRAVITY.
YOU MUST NEVER GO THERE!**

Worries of a Typical Particle Theorist

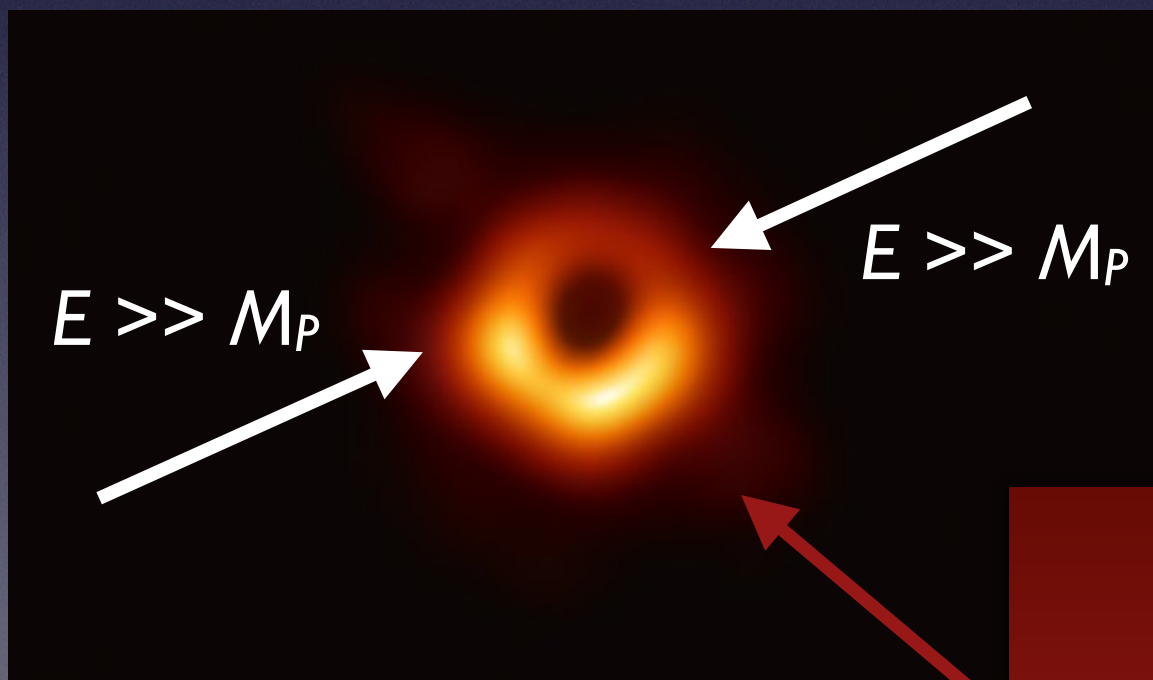


Limitations of the EFT Mindset

Tacit assumption in QFT/EFT:

higher energies \sim shorter distances \sim more fundamental

But for $E \gg M_P$:

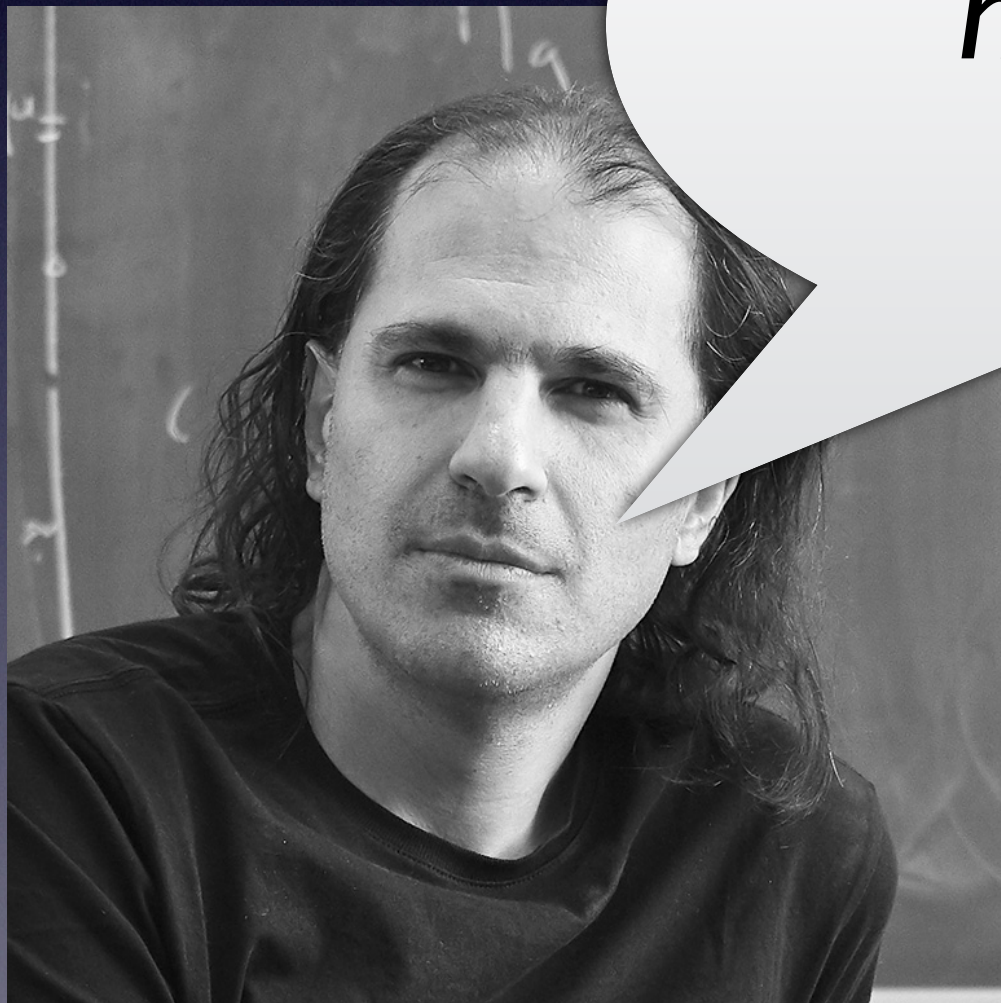


Black Hole production:
Black Hole grows with E
 \Rightarrow for large E :

higher energies \sim larger distances

Limitations of the EFT Mindset

*“The World is
not a crappy
Metal”*



Nima Arkani-Hamed @ Harvard,
10/7/2021

3 Lessons from Black Holes



No Hair Theorem

A stationary Black Hole is completely characterized by 3 quantities: mass, charge & angular momentum

Israel, 1967

3 Lessons from Black Holes

Violation of the 2nd law of thermodynamics?

What happens to entropy falling into a Black Hole?

→ growth of Black Hole horizon A compensates for loss of entropy behind BH event horizon

Bekenstein, Hawking, 1971-1974

- ▶ Black Holes have temperature → Hawking Radiation
- ▶ Information Loss → Breaking of Global Symmetries

Witten, 2000; Harlow, Ooguri, 2019

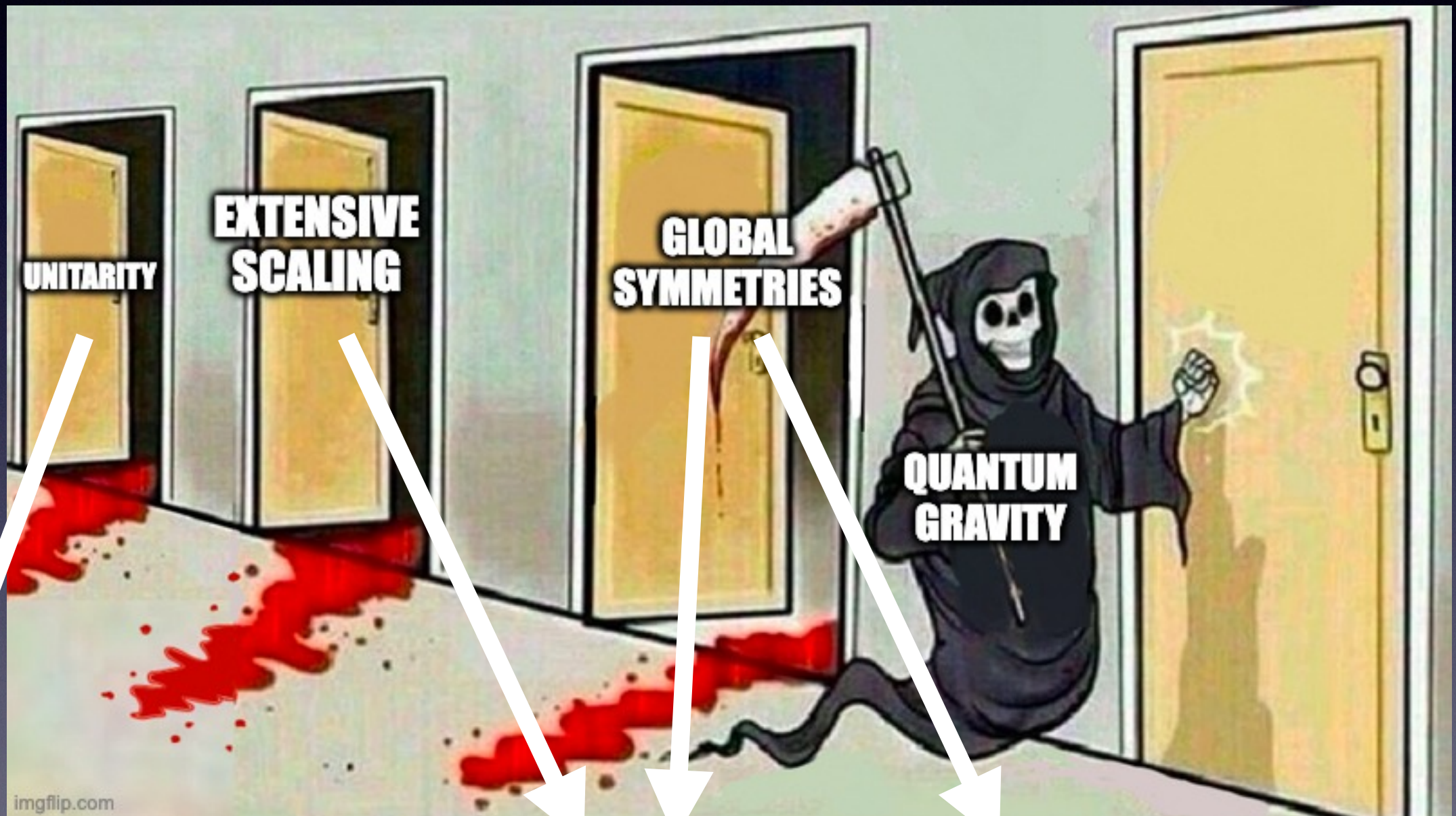
- ▶ Horizon \triangleq Environment for Decoherence
→ Breaking of Unitarity

Hawking, 1975, Page, 1980

Semiclassically, Black Holes act as a sink for information and global quantum numbers

3 Lessons from Black Holes

More or less expected to hold also in Quantum Gravity



Quantum-to-Classical
transition

Flavor

Neutrino
Masses

Holographic Bound



Holographic Bound

First Law of Black Hole Mechanics

$$dA_{BH} \sim dM = T dS_{BH} \quad (\text{Bardeen, Carter, Hawking 1973})$$

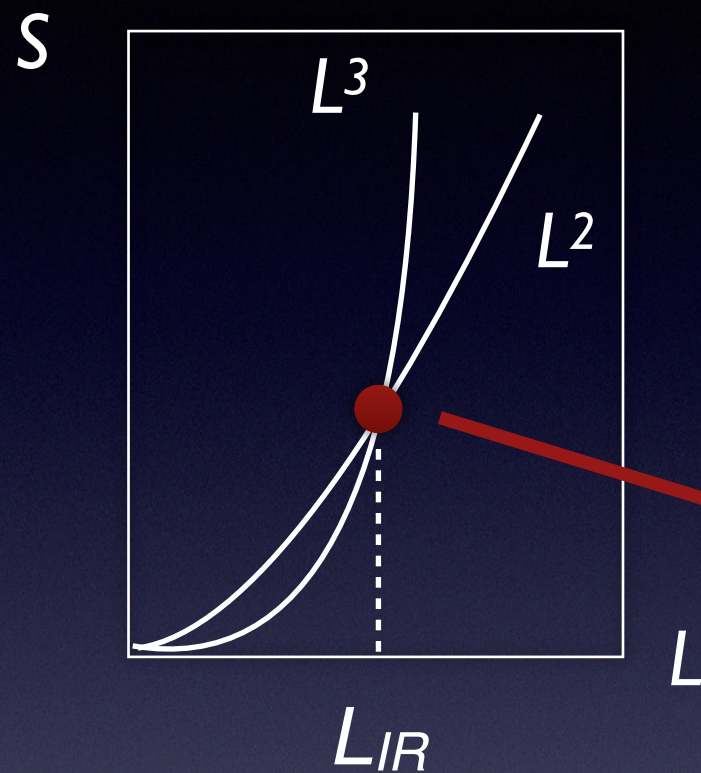
Holographic Bound

Maximum information in a spacetime region V = information in a Black Hole \rightarrow grows with $A_{BH} \sim L^2$

t'Hooft, 1993; Susskind 1994

\rightarrow Contradiction to QFT where information in a volume grows with $\sim L^3$

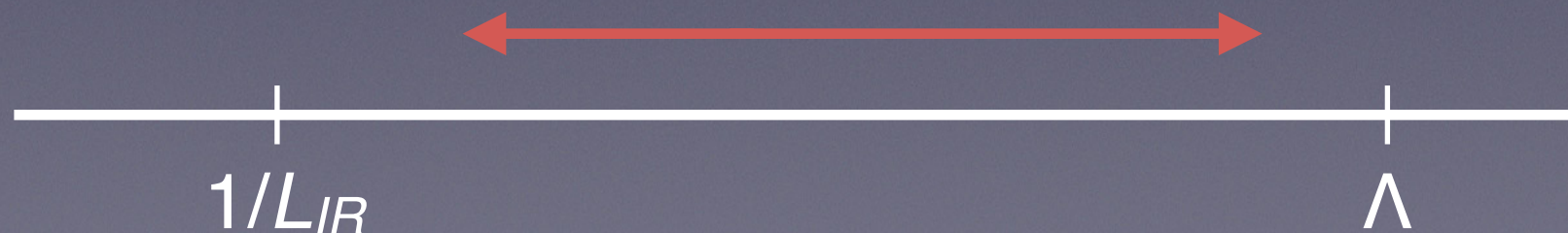
Holographic Bound



Starting from this point, QFT overcounts dofs!

→ IR cutoff for QFT

QFT works only here!



CKN Bound

Excluding BHs entirely from the QFT model space

Bound from BH entropy still contains many states with Schwarzschild radius $R_S < \text{box size}$

\Rightarrow even low E particles can collapse into BHs!

To avoid this, exclude all states with Schwarzschild radius $R_S < \text{box size}$:

$$\Rightarrow L_{IR} = R_S = 2 GM \text{ with } G = 1/(2M_P^2) \Rightarrow R_S = M/M_P^2$$

Solve for L_{IR} :

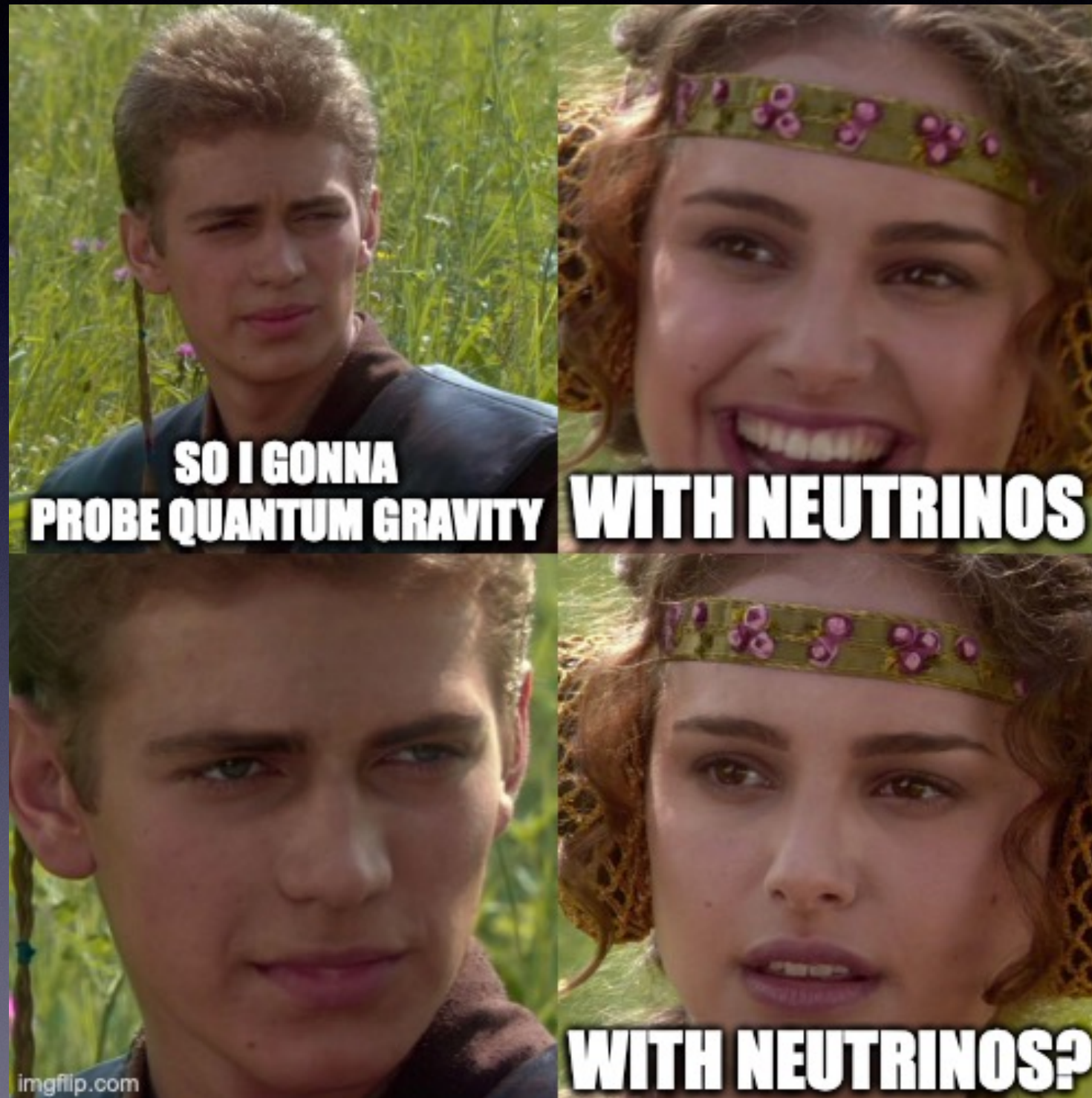
$$L_{IR} = M_P / \Lambda^2$$

Cohen, Kaplan, Nelson, 1999

\rightarrow Relation between UV cutoff Λ and IR cutoff L_{IR}

\rightarrow Implies $\Lambda < M_P$ as for $\Lambda = M_P \Rightarrow \Lambda = L_{IR}^{-1} \rightarrow$ QFT nowhere valid!

Neutrinos & Gravity - An Unlikely Match





NOT SO FAST

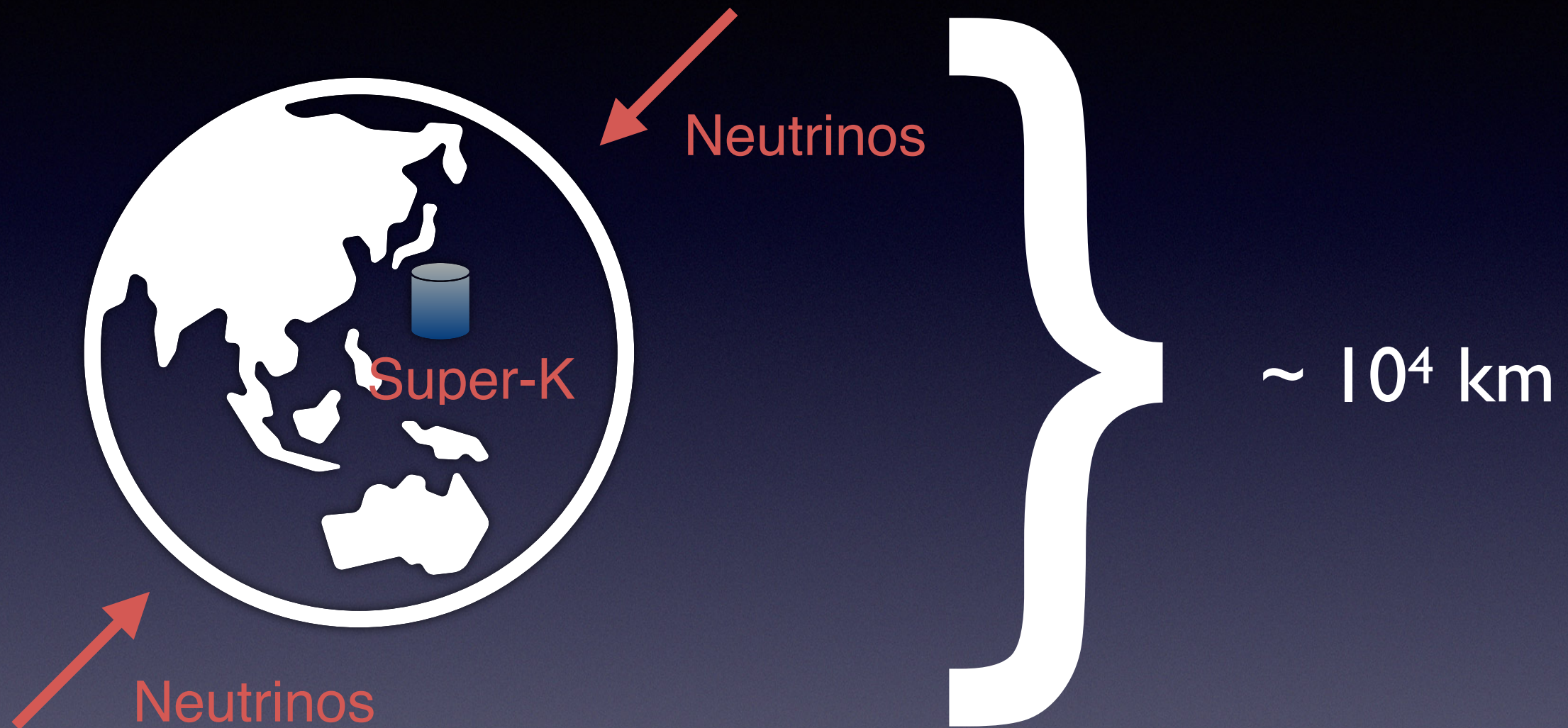
MeMe(S)Generator.hu

Why Neutrinos ?

- ▶ Weak interactions
→ perfect quantum probes
- ▶ Flavor violation, Majorana(?)
→ global symmetry violation
- ▶ Seesaw
→ large energy scale
- ▶ Extragalactic neutrinos at
neutrino telescopes probe
extreme distances
- ▶ Huge energies up to (so far)
 10^2 PeV



Atmospheric Neutrinos



→ Plugged into Holographic or CKN Bound

$$\Lambda < 10^3 \text{ TeV (Holographic)} \quad \text{or} \quad \Lambda < 300 \text{ MeV (CKN)}$$

Implications ?

- ▶ High scale Seesaws still valid?
 - Inverse Seesaw?, Dirac Masses?, Radiative Mass Models?
- ▶ Quantum-Gravitational Origin of Neutrino Masses?
 - Neutrino Anomalies?
- ▶ Holographic Scaling? Overlapping degrees of freedom?
Depletion of QFT density of states?

Friedrich, Cao, Carroll, Cheng, Singh, 2024;
Banks, Draper, 2020

→ modified dispersion relations?

Carmona, Cortes, Indurain, 2000

→ energy-dependent neutrino masses &
mixing angles? new resonances?

Döring, HP, Sicking, Weiler, 2020

Radiative Neutrino Masses and the CKN Bound

scotogenic model

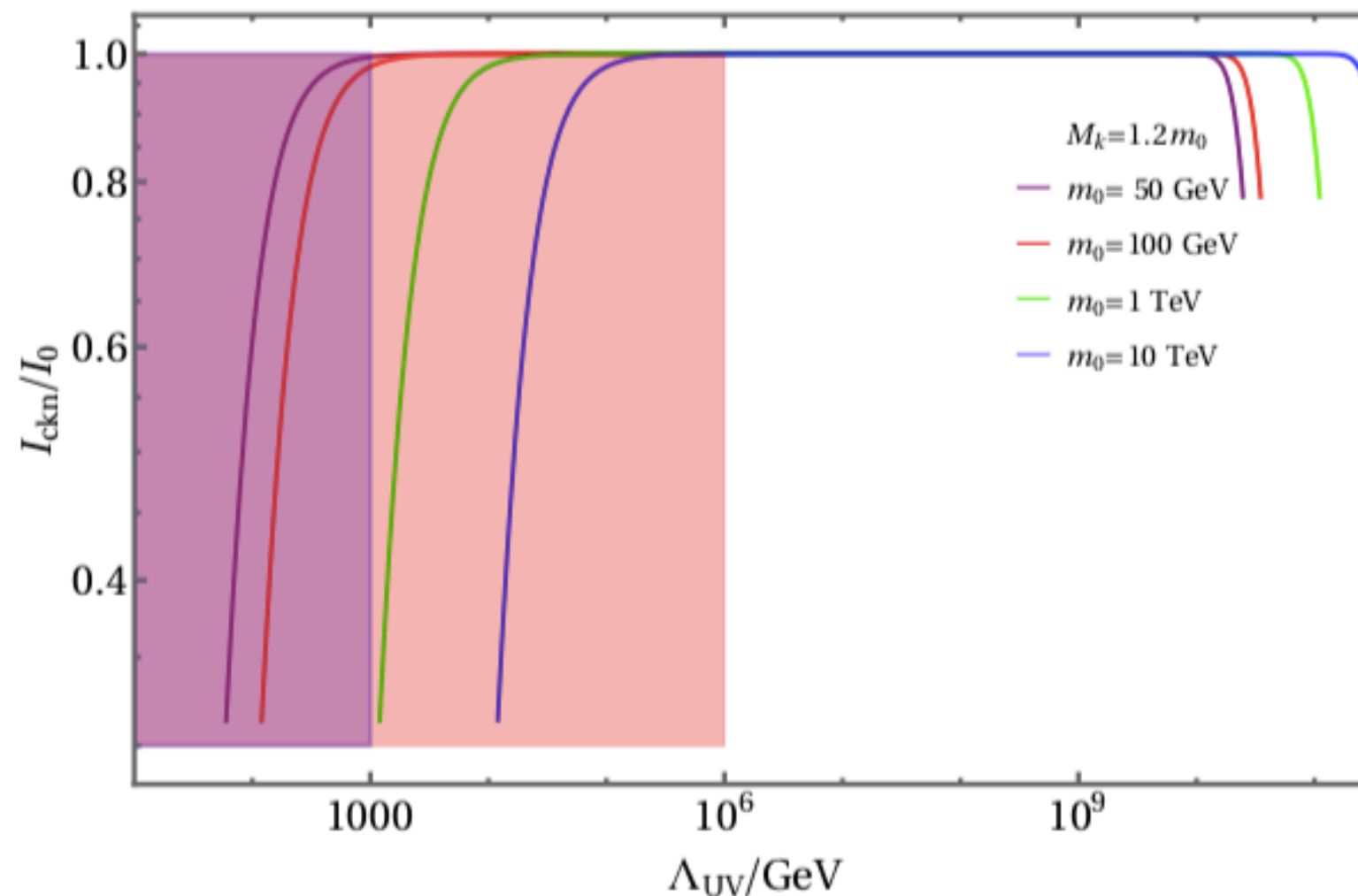
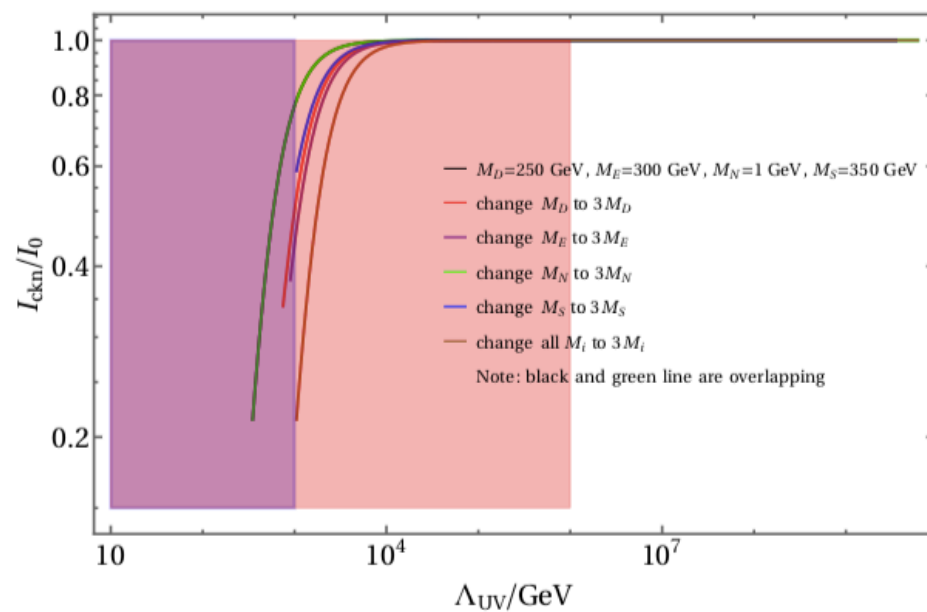
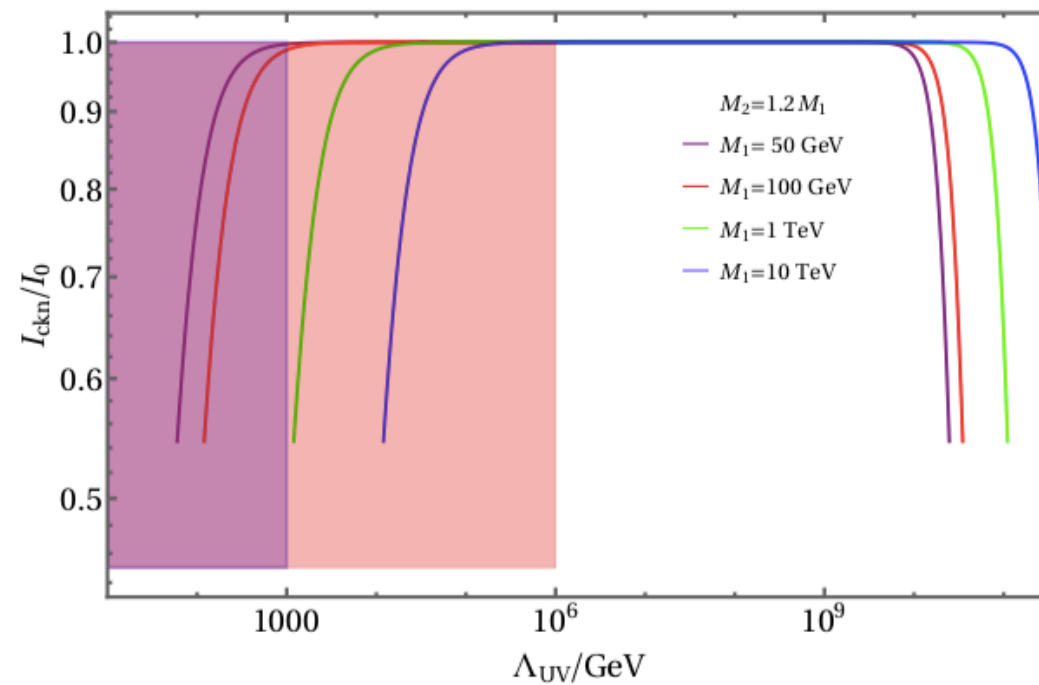


Figure 3: Relative discrepancy between the neutrino mass with and without the influence of the CKN bound for the scotogenic model. Different mass choices for the free parameters are considered. The allowed range of Λ_{UV} in the calculation of the magnetic moment of the muon is displayed as a red background. The area allowed by both the magnetic moment of the electron and muon is shown as the violet region.

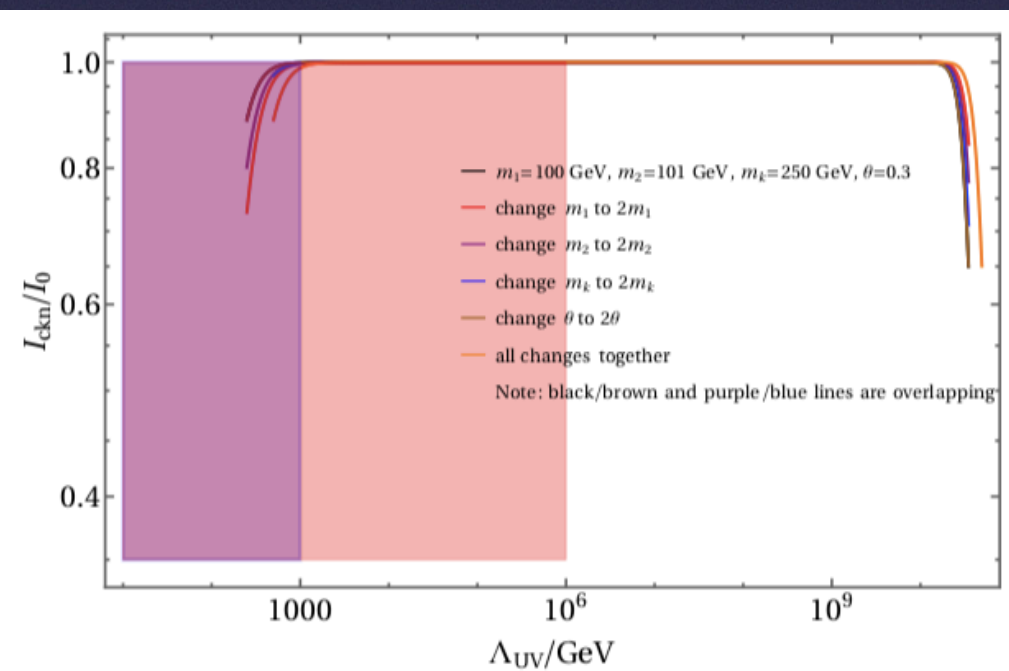
Adolf, Hirsch, HP, 2023

Radiative Neutrino Masses and the CKN Bound

Zee model



inverse scotogenic model



ScotoSinglet model

Adolf, Hirsch, HP, 2023

CKN Bound & Evolving Dark Energy

Potential solution to the “cosmological constant problem”

- ▶ Vacuum fluctuations $\rho \sim \langle 0 | T_{\mu\nu} | 0 \rangle$ contribute to dark energy density with $\langle \rho \rangle \sim \Lambda^4 \sim M_P^4 \sim 10^{76} \text{ GeV}^4$ compared to the observed $\langle \rho \rangle \sim (10^{-3} \text{ eV})^4$

- ▶ Adopting $L_{IR} \sim H_0^{-1}$, the current Hubble horizon implies $\Lambda \sim 10^{-3} \text{ eV}$ in agreement with observation!

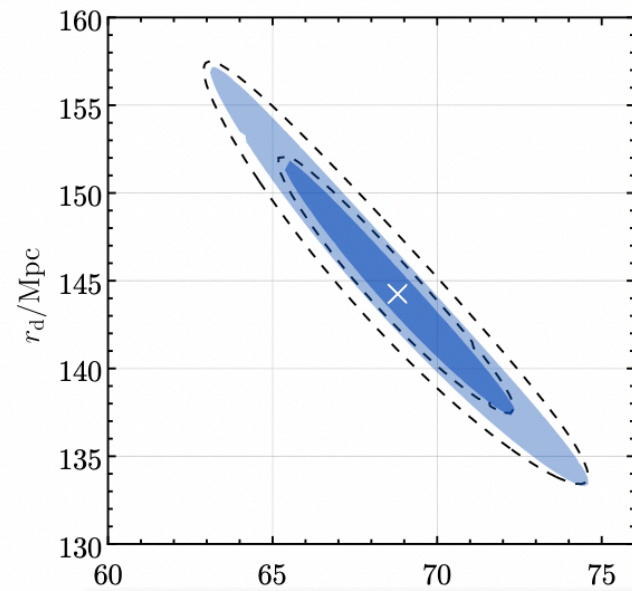
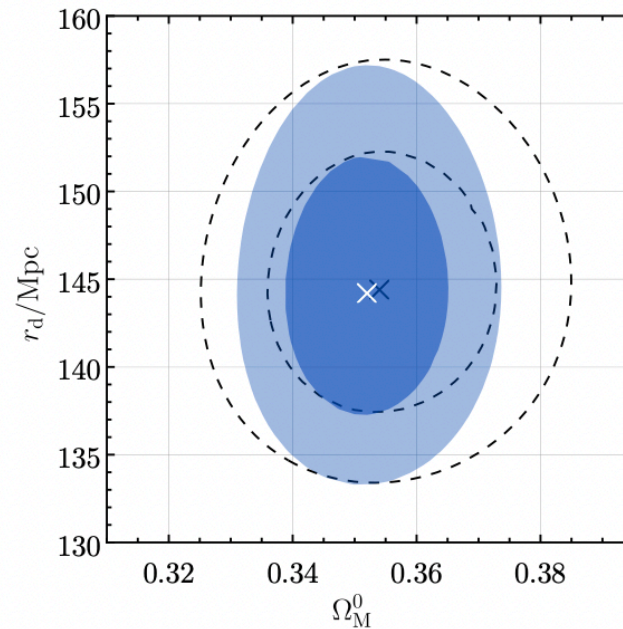
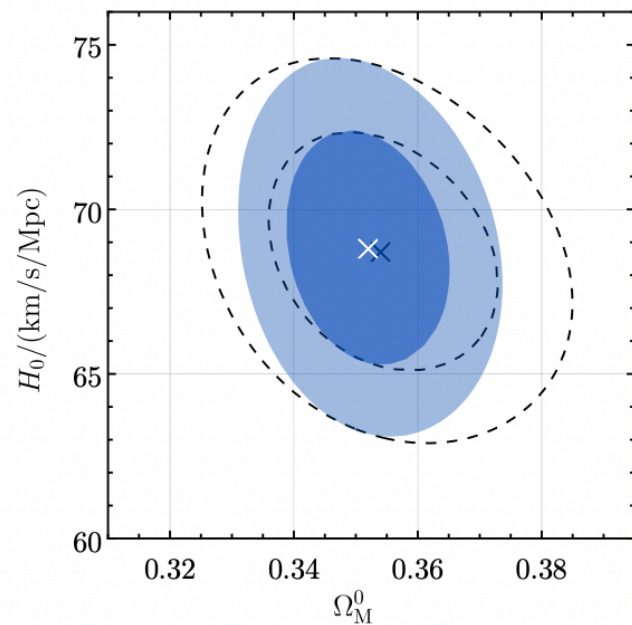
Cohen, Kaplan Nelson, 1999

- ▶ Suggests an Evolving Dark Energy density:

$$\rho_{\text{DE}}(z) = \Lambda_0 + \nu \frac{M_{\text{Pl}} H^2(z)}{16\pi^2}$$

Adolf, Hirsch, Krieg, HP, Tabet,
2024

Fitting the DESI BAO Data



Hubble + DESY5
 - - - +BAO DESI DR1
 — +BAO DESI DR2

Adolf, Hirsch, Krieg, HP, Tabet,
 2024 & 2025

- ▶ BAO, Hubble & Supernova data
- ▶ Better fit than Λ CDM
- ▶ Trend strengthens with 2025 data release
- ▶ No CMB data included yet!

Models	$\Delta\chi^2_{\text{DR2-DR1}}$	
	DESY5	Pantheon+
CKN	-2.85	-2.84
ν CKN	-2.91	-3.76
Λ CDM	-0.52	-1.93
ω CDM	-3.72	-3.59
$\omega_0\omega_a$ CDM	-3.29	-3.13

Models	$\Delta\chi^2_{\text{DESY5}}$	$\Delta\text{AIC}_{\text{DESY5}}$	$\Delta\chi^2_{\text{Pantheon+}}$	$\Delta\text{AIC}_{\text{Pantheon+}}$
CKN with				
Λ CDM	-6.90	-6.90	-2.05	-2.05
ω CDM	3.14	1.14	2.26	0.26
$\omega_0\omega_a$ CDM	5.74	1.74	2.43	-1.57
νCKN with				
Λ CDM	-6.94	-4.94	-3.07	-1.07
ω CDM	3.09	3.09	1.24	1.24
$\omega_0\omega_a$ CDM	5.69	3.69	1.41	-0.59

Implications ?

- ▶ Evolving Dark Energy
- ▶ No Λ CDM \rightarrow Revise cosmological neutrino mass bound
- ▶ Also: Cosmological Neutrino Mass Bounds in conflict with Δm^2 's from atmospheric neutrino oscillations!

$\Sigma m_\nu < 0.081$ eV for SPT-3G D1 + DESI,
 $\Sigma m_\nu < 0.048$ eV for CMB-SPA + DESI.

Camphuis et al.
(South Pole Telescope SPT-3G), 2025;
see also: Elbers et al. (DESI), 2025

\rightarrow Quantum-Gravity effects (CKN, Holographic?)

- ▶ Neutrinos coupled to Dark Energy? \rightarrow Mass varying neutrinos?

Singh 1995; Hung 2000; Nelson, Fardon, Weiner 2004;
Hung & HP, 2005;
Craig, Green, Meyers, Rajendran, 2024;

Quantum-Gravitational Decoherence



Quantum Gravitational Decoherence

- ▶ Can be modeled as a **sink term** in the evolution equation

$$\frac{d}{dt}\varrho(t) = -i[H, \varrho(t)] - \frac{1}{L_{\text{coh}}} (1 - \hat{D}) \varrho(t) - \mathcal{G}\varrho(t)$$

Ellis, Hagelin, Srednicki, Nanopoulos, 1984

- ▶ Quantum Gravity violates all **global quantum numbers**!
- ▶ Entails a **democratic flavor distribution**!
- ▶ Depends **exponentially** on propagation distance

$$P_{ee}(L) = \frac{1}{2} + \frac{1}{2} \cos^2(2\theta) e^{-2\gamma L} \quad (\text{2v-approximation})$$

Great sensitivity at
neutrino telescopes!

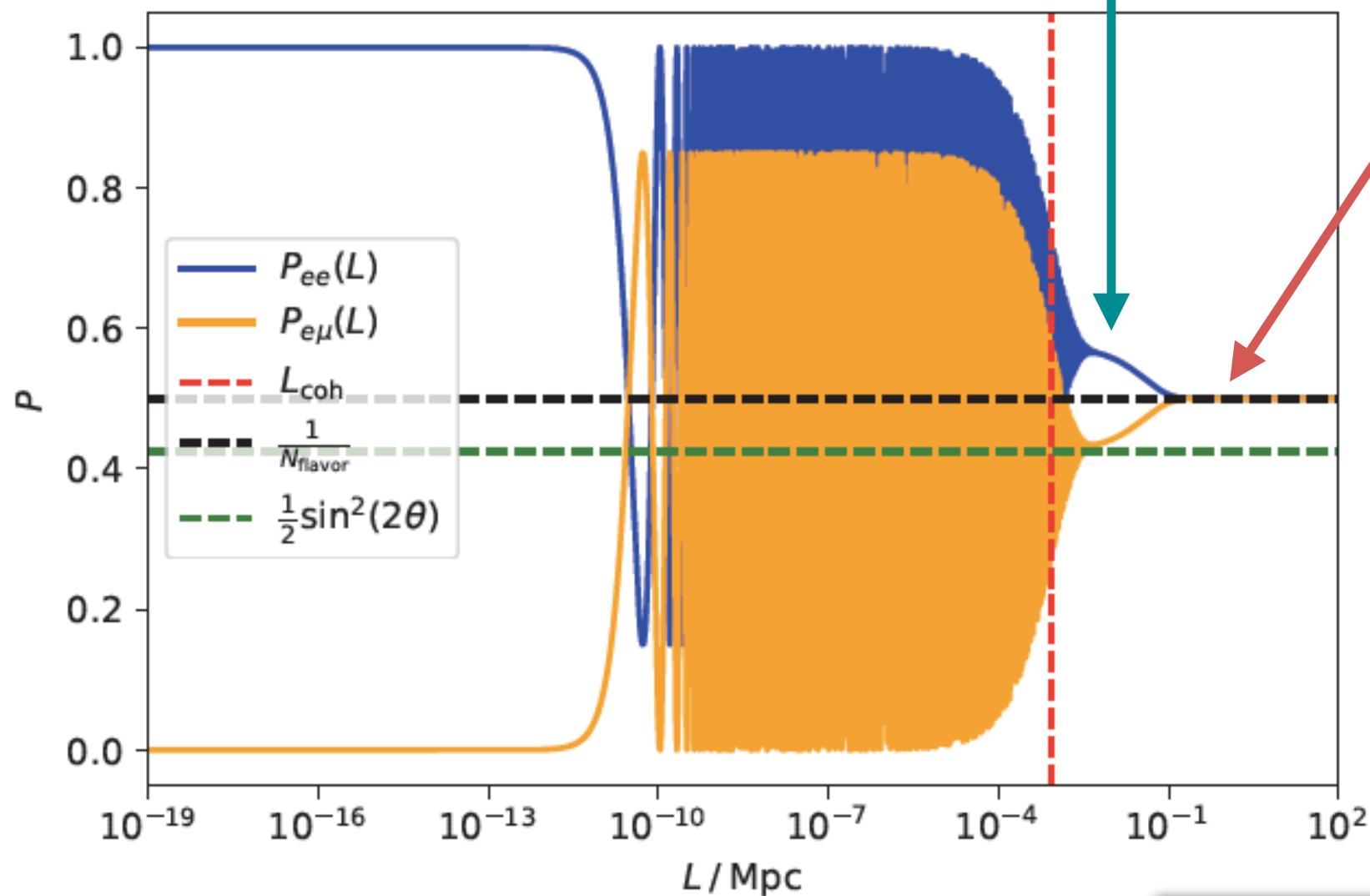
Klapdor-Kleingrothaus, HP, Sarkar, 2000;
Anchordoqui, Goldberg, Gonzalez-Garcia, Halzen, Hooper, Sarkar, Weiler, 2005;
Stuttard, Jensen, 2020; De Romeri, Giunti, Stuttard, Ternes, 2023;

QG Decoherence & Wave Packets

$$\frac{d}{dt}\varrho(t) = -i[H, \varrho(t)] - \frac{1}{L_{\text{coh}}} (1 - \hat{D}) \varrho(t) - \mathcal{G}\varrho(t)$$

Wave Package Separation
Decoherence

Quantum-
Gravitational
Decoherence



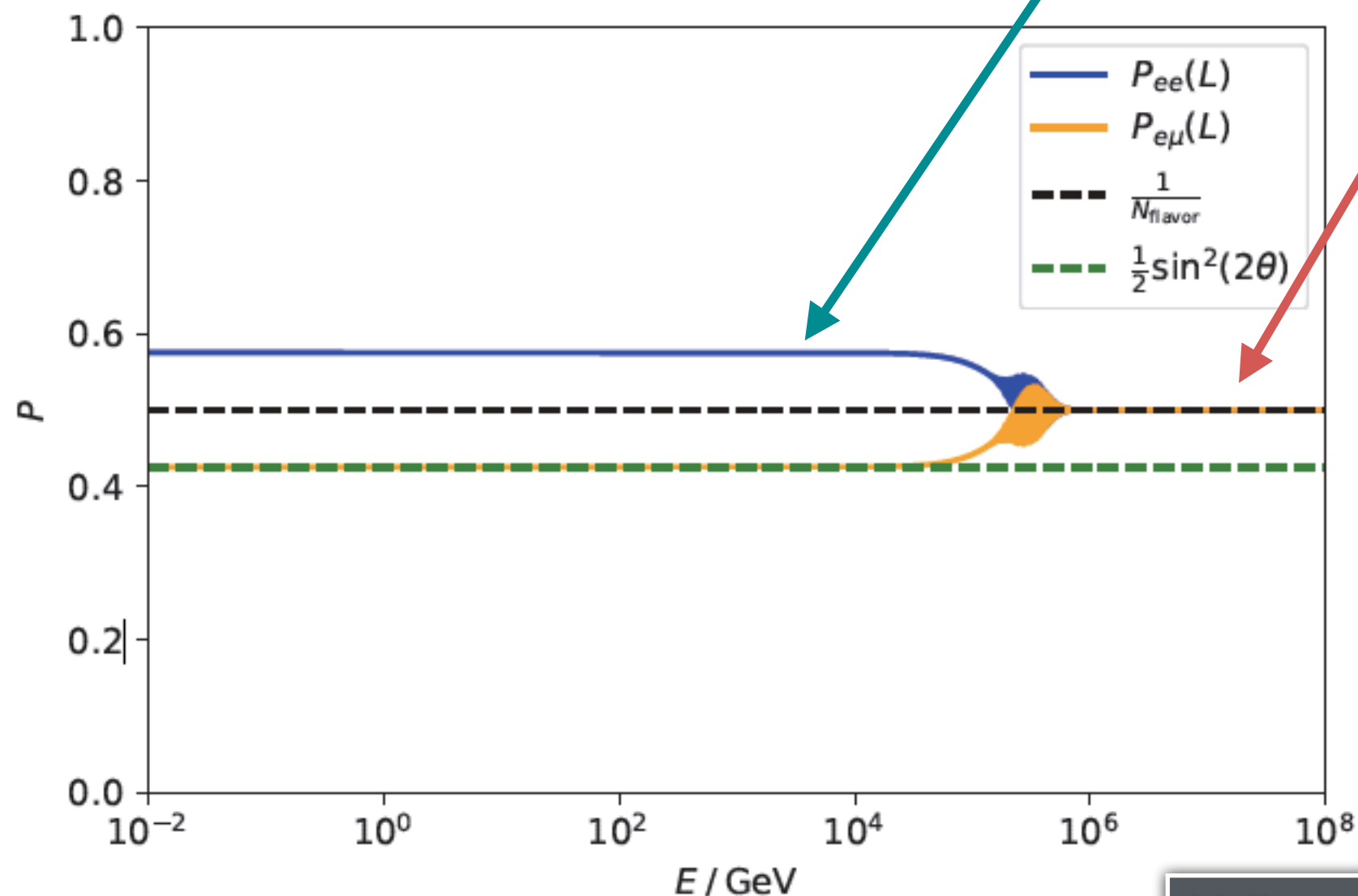
Hellmann, HP, Rani, 2022

QG Decoherence Wave Packets

$$\frac{d}{dt}\varrho(t) = -i[H, \varrho(t)] - \frac{1}{L_{\text{coh}}} (1 - \hat{D}) \varrho(t) - \mathcal{G}\varrho(t)$$

Wave Package Separation
Decoherence

Quantum-
Gravitational
Decoherence



Dominates
at high
energies!

Hellmann, HP, Rani, 2022

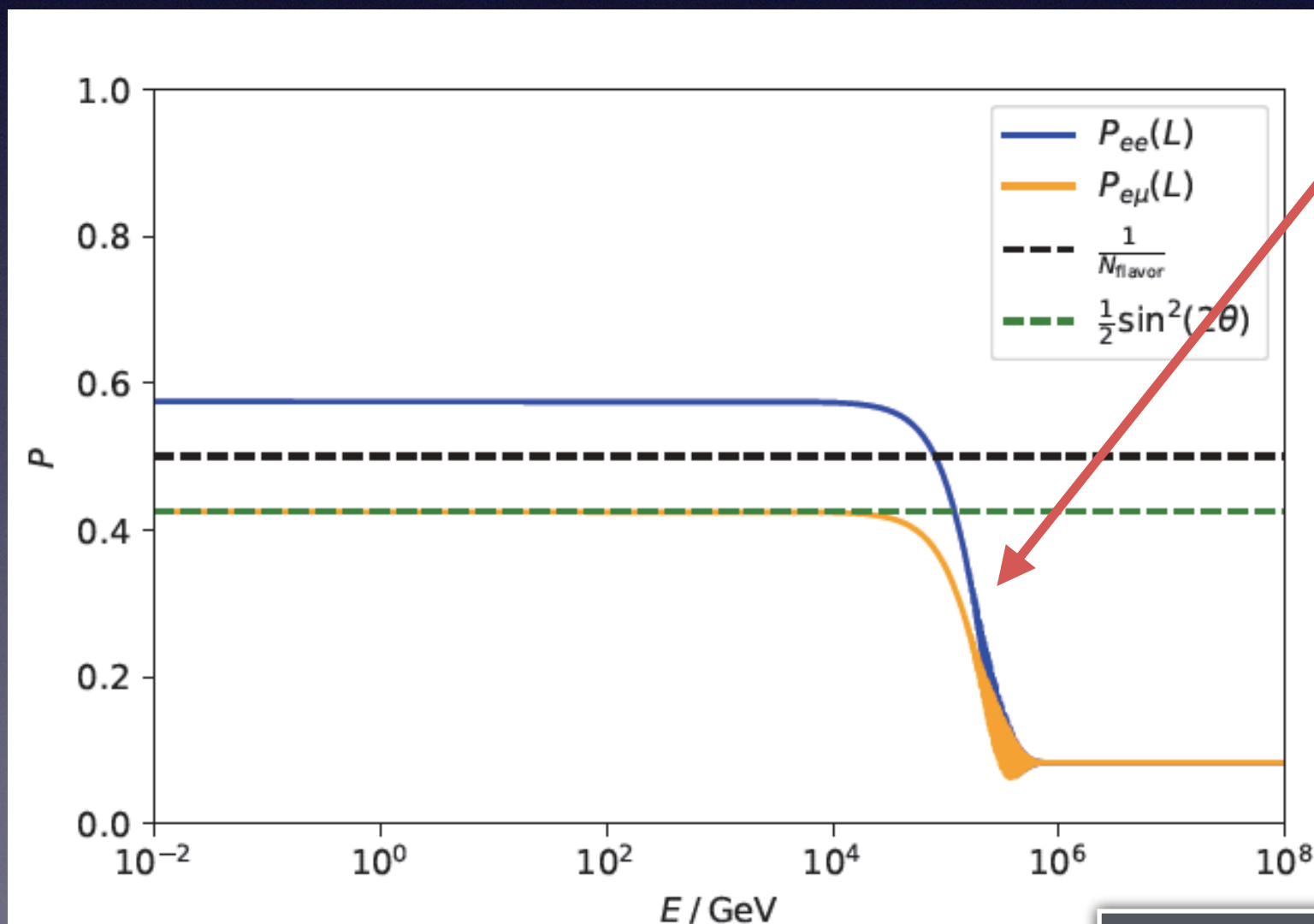
QG Decoherence & Dark Sectors

Search for Hidden Particles

Adding $N-2$ additional dark Fermions:

$$P_{ee}(L) = \frac{1}{N} + \frac{N-2}{2N} e^{-2\gamma L} + \frac{1}{2} \cos^2(2\theta) e^{-2\gamma L} + \frac{1}{2} \sin^2(2\theta) e^{-(\gamma + \frac{1}{L_{\text{coh}}})L} \left\{ \cos(\omega L) + \frac{\gamma}{\omega} \sin(\omega L) \right\}$$

Democratic Flavor Distribution over ALL neutral fermions!

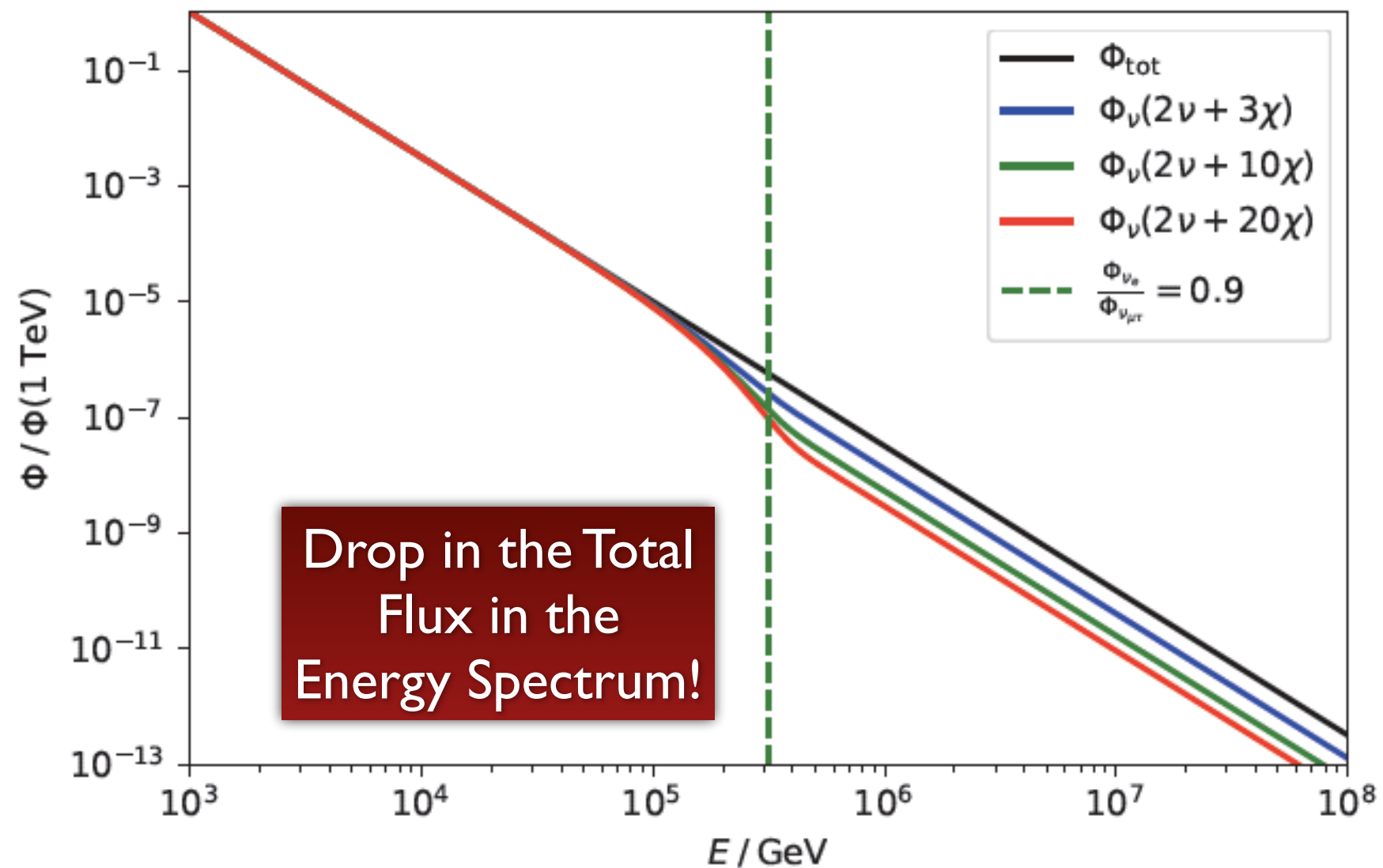


Drop in the Survival Probability!

Hellmann, HP, Rani, 2022

QG Decoherence & Dark Sectors

Search for Hidden Particles



QG Decoherence & Dark Sectors

Sensitivity Study for
NGC1068 (79 signal
events at 5.2σ)
at IceCube

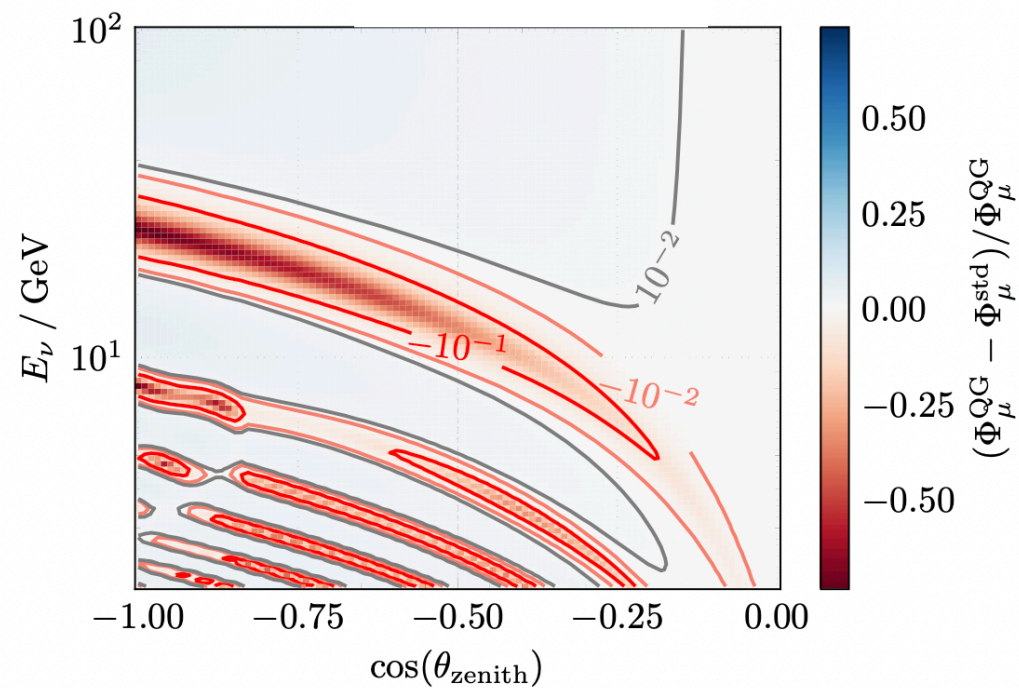
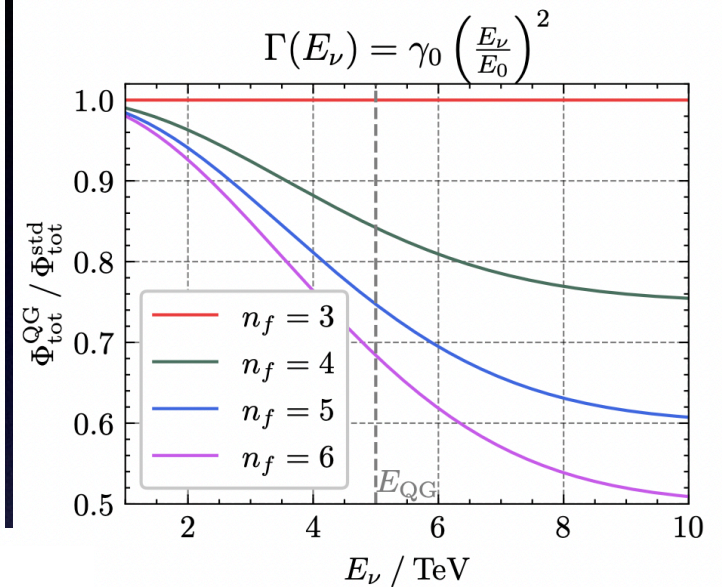
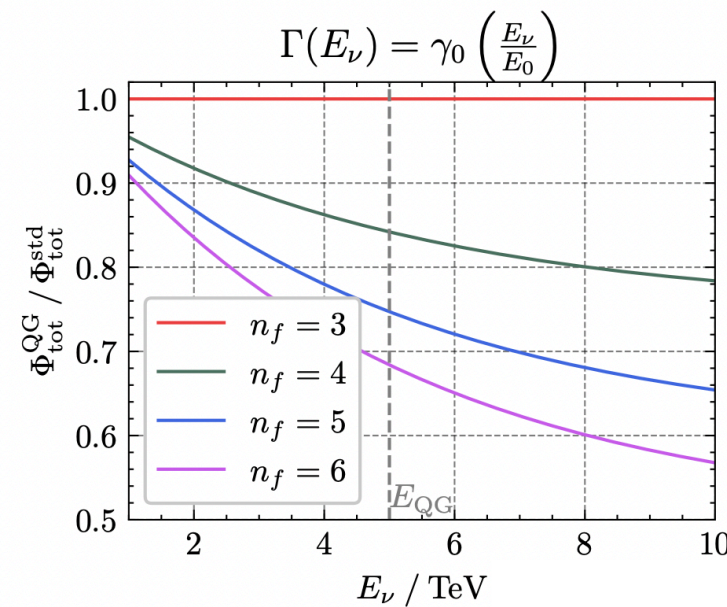


Figure 8: Muon neutrino oscillogram for $n_f = 4$ in case of the constant decoherence model and for the corresponding 95% C.L. $\gamma_0 = 1.41 \times 10^{-15} \text{ eV}$ value. Shown is the relative muon neutrino flux deviation as a function of the energy E_ν and the zenith angle $\cos \theta_{\text{zenith}}$.

Summary

- ▶ Quantum Gravity: Both UV and IR Effects! Holographic Scaling, UV/IR cutoffs for QFT, Global symmetry & unitarity violations
- ▶ Neutrinos: large baselines & energies, weak interactions
→ excellent quantum gravity probes
- ▶ UV/IR cutoffs (CKN, Holographic) limit applicability of QFT to oscillations on large baselines beyond 10^3 TeV or less
- ▶ CKN cutoff suggests Evolving Dark Energy that fits DESI BAO
- ▶ Cosmological ν mass bounds too tight!
Quantum Gravity? Mass Varying Neutrinos?
- ▶ Quantum-Gravitational Decoherence may be sensitive to Hidden Flavors and testable at neutrino telescopes

Probing the CKN Bound: Radiative Corrections

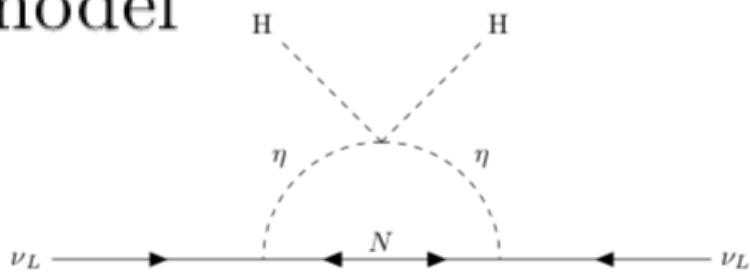
A. Cohen, D. Kaplan & A. Nelson,
PRL 1999, arXiv: hep-th/9803132

→ effect on anomalous magnetic moments of
electrons and muons

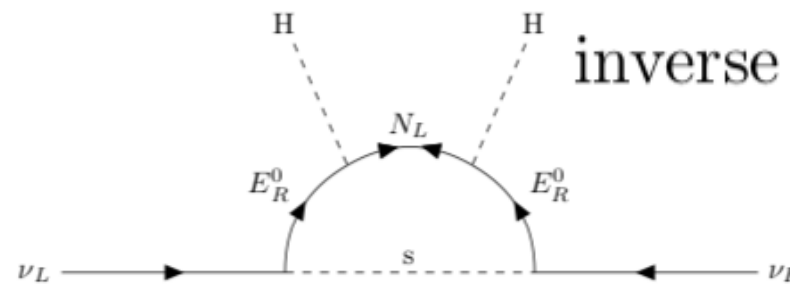
P. Adolf, M. Hirsch, H. Päs, arXiv:2306.15313

→ effect on radiative neutrino mass models

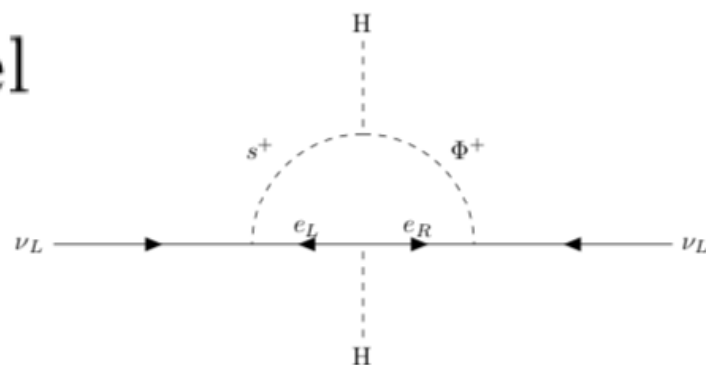
scotogenic model



inverse scotogenic model



Zee model



ScotoSinglet model

