



# Computing@CSN5: applications and innovations at INFN Imaging algorithms for in-vivo BNCT dosimetry

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### Dutline

- State of art of BNCT
- **Part1:** Dose monitoring by Single Photon Emission Computational Tomography (SPECT)
  - SPECT project
  - Simulation and reconstruction algorithm development
- Part2: Dose monitoring by Compton imaging
  - Compton imaging principles
  - Simulations and classical tomography with iteratives algorithms Novel approach by Deep Learning (DL) models
- Summary and future





### Boron neutron capture therapy

Boron Neutron Capture Therapy (BNCT) is an innovative hadrontherapy with high selectivity over cancer tissue based on the neutron capture reaction  $^{10}B(n, \alpha)7Li$ 



\*Skwierawska, D. et. al. Clinical Viability of Boron Neutron Capture Therapy for Personalized Radiation Treatment. Cancers 2022, 14, 2865.





Treatment duration ≈30-90 min



## **Dosimetry on BNCT**

- Main nuclear interactions that contribute to the BNCT total dose delivery:
- **D**total =
  - Therapeutic dose from <sup>10</sup>B(n, $\alpha$ )<sup>7</sup>Li ( $\sigma$ =3837 b) DB
- From <sup>14</sup>N(n,p)<sup>14</sup>C reactions (Ep=630 keV,  $\sigma$ =1.9 b) + **D**<sub>p</sub> due to thermal neutron
- Due to epithermal and fast neutron elastic **+ D**<sub>n</sub> scattering daily with H nuclei
- From  ${}^{1}H(n,\gamma){}^{2}H$  (E=2.2 MeV,  $\sigma$ =0.33 b) &  $+ D_{\nu}$ reactor background

 $\rightarrow$  Therapeutic boron dose as main dose contributor.









## Dosimetry on BNCT

#### Nowadays dose estimation in BNCT:

- by blood test before, meanwhile and after irradiation, and
- Monte Carlo simulations to estimate all dose delivery contributes and neutron capture rates









## Dose monitoring by SPECT







## SPECT system

System based on BeNEdiCTE (Boron Neutron CapTurE) detector: Gamma ray detection module based on a LaBr<sub>3</sub>(Ce+Sr) scintillator crystal readout by Silicon Photomultipliers and compact electronics with ASICs and FPGA.

- Founded by INFN CSN5
- "SPOC: SPect for Online boron dose verification in bnCt" and PRIN-2024 PNRR\*
- Bari unit → Development of BNCT-SPECT dedicated tomography reconstruction



\* Collaboration with UNIPV and POLIMI, and INFN sections



## Monte Carlo simulations

- Monte Carlo simulation performed in ideal conditions (no background from facility) for first data availability
- Pure irradiated boron gamma source
- Layout based on experimental setup at Nagoya





Polimi pinhole collimator: Pb **Scintillator crystal:** LaBr<sub>3</sub> (5 x 5 x 2 cm<sup>3</sup>) **SiPM:** 8x8 array (5 x 5 x 0.2 cm<sup>3</sup>) Human head: G4\_TISSUE\_SOFT\_ICRP 1 modules  $\rightarrow$  4 modules  $\rightarrow$  16 modules







**Detector projections:** 3 spheres 2.5 mm radius, centered 15 mm apart from the center in the same plane















### Tomography reconstruction

Based on PyTomography libraries with the PyTomography iterative method: Ordered Subset Expectation Maximum(OSEM) on GPU-accelerated

$$\lambda(\text{new})_{j} = \frac{\lambda(\text{old})_{j}}{\sum_{D_{n}} \sum_{D_{m}} \sum_{i \in S_{L}} C_{ij(nm)}} \times \sum_{D_{n}} \sum_{D_{m}} \sum_{i \in S_{L}} C_{ij(nm)} \left( \frac{Y_{i(nm)}}{\sum_{K} C_{ik(nm)} \lambda(\text{old})_{k}} \right),$$

where  $\lambda = \text{image variable}$ ,  $C_{ij} = \text{system matrix}$ ,  $Y_i = \text{Count}$ number of photon,  $D_n = \text{GPU}$  domain length (horizontal thread number), and  $D_m = \text{GPU}$  domain length (vertical thread number).

Collimator resolution function  $R_{coll} = \left(\frac{x}{f}\right) \sqrt{R_d^2 + \left(\frac{f+x}{x+\frac{CH}{2}}\right) * d_e^2}$   $R_d = 3.0 \text{ mm, intrinsic resolution}$  f = 15 cm, distance collimator-detector x = 15 cm, distance collimator-source  $d_e = 5 \text{ mm, pinhole diameter}$  CH = 48.04 mm, channel length CH = 48.04 mm, channel length CH = 48.04 mm, channel length CH = 48.04 mm, channel length





#### **Preliminary tomography**

- iterations: 50, subsets: 3
- Pixel side: 0.39 mm
- Spheres reconstructed with ~ 2.5 mm radius in agreement with simulated configuration





## Tomography reconstruction

#### Algo. validation with Vials Tomography reconstruction

Simulated Polimi dataset describing a more realistic treatment conditions adapted to LENA set-up













## Dose monitoring by Compton imaging







## Compton imaging principles

Principle

$$cos(\theta) = 1 - m_e c^2 \left(\frac{1}{E_a} - \frac{1}{E_\gamma}\right)$$
  
where  $E_\gamma = E_s + E_a$ 

 $\rightarrow$  Compton event: the position of the source is confined in the Compton cone and found by overlapping them







• Single stage Compton imaging or "True events"

good events don't include multiscattering Compton

- Main advantages: 1) Reconstruction noiseresolution **2**) Detection sensitivity gain of the order of 30 – 600 with respect to mechanically collimated systems
  - Complex reconstruction by classical algorithms, high computational cost



Backward projection example



## Preliminary simulation set-up





#### Detector simulated inspired in **CZT sensor by Due2Lab**

- Room-temperature gamma-ray spectroscopic
- Sub-millimetre spatial resolution and excellent energy resolution (around 1% FWHM at 661.7 keV)

Abbene, L.; Principato, F.; Buttacavoli, A. and et al.: Potentialities of High–Resolution 3–D CZT Drift Strip Detectors for Prompt Gamma–Ray Measurements in BNCT. Sensors, 22, 1502 (2022) <sup>13</sup>



10 mm



- Detector: CZT crystal stack (5 mm thickness each), 60
- mm from the source
- Phantom material: Air, soft tissue
- Simulated sources: 5-points like and spheric 478 keV gamma distributions

9

🌙 6 mm

Tomography FOV: cube 120 mm side centered with source and covering the entire phantom.







## MLEM reconstruction method validation

Maximum Likelihood Expectation **Maximisation** (MLEM) → Iterative method to reconstruct the most probable source distribution

$$\lambda_j^n = \frac{\lambda_j^{n-1}}{S_j} \sum_{i=1}^N \frac{t_{ij}}{\sum_k t_{ik} \lambda_k^{n-1}}$$

- $\lambda^{n_j}$  = calculated amplitude of pixel *j* at the nth iteration
- $s_j$  = sensitivity, i.e. the probability that a gamma ray originating from pixel *j* is detected anywhere
- *t<sub>ij</sub>* = imaging response matrix, i.e. the transition probabilities generated by the measured events(first estimation: based on back-projection,  $\lambda_0$ )









#### **On Air phantom**

Good resolution in x and y profiles, slightly worse in z direction (stretching effect) No image interference when phantom is added





### Tumor-to-healthy 2D boron ratio study

#### On Tissue phantom, T/N = 5.0



#### On Tissue phantom, T/N = 2.0











- Two different ratios: ideal case (T/N = 5) and (T/N = 2) extreme case (clinical values are T/N>3)
- Both distributions resolute.  $\rightarrow$  More iterations needed to solve the image in z ( $\approx 250$ )





### Iteration methods and novel approach

- Limitation for online dose measurements: MLEM works only postirradiation, computational times ≈24-36 min
- New approach to go from the backprojection image to the tomography dose by using Deep Learning

Training **Deep Learning** model with back-projection and tomography labels sets to make **tomography reconstruction** 









### Improved simulations

3 new configurations to improve the 3D imaging reconstruction (reduce stretching) long z-axis):

- single module placed at a distance of 60 mm from cylinder axis,
- four modules (2 frontal and 2 at  $\pm 60^{\circ}$ ),
- six modules (4 frontal and 2 at  $\pm 60^{\circ}$ )









### Improved simulations

20 different tumor region shapes to obtain a suitable quantity of data for the training phase of deep neural network algorithms











## U-Net model variants

U-Net and improved versions used for image denoising\*:

(a) classical U-Net

(b) dual frame U-Net

(c) tight frame U-Net with Haar filter bank

- The input images are the results of the tenth iteration (~ 4-6 min) of MLEM algorithm
- The models were impletented in 3-D variants

\*Framing U-Net via Deep Convolutional Framelets: Application to Sparse-view CT Yoseob Han and Jong Chul Ye, Senior Member, IEEE









		NMSE	PSNR	SSIM		
- 0.6	Standard U-Net	0.031803	36.119379	0.754417		
- 0.4	Dual frame U-Net	0.029113	36.396008	0.726286		
	Tight frame U-Net	0.011953	40.615813	0.853548		

## Summary and Future

- dose tomography within Boron Neutron Capture Therapy
- founding for a prototype)
- ( $\approx$ 4-6 min using Compton imaging)

#### What's next?

- Development of Deep Learning algorithms to be applied to SPECT reconstruction
- learned prior algorithm optimization, other deep learning techniques (GANs, DIP, ...)



There is a possibility to exploit SPECT and Compton imaging approaches for boron

Compton imaging pros: dynamic FOV, no collimation is needed, less system complexity Fine tuning by using experimental data is needed (SPECT ongoing, Compton imaging  $\rightarrow$ 

The use of Deep Learning has proved the possibility to reduce reconstruction times

Approaches to reduce artifacts and improve reconstruction, more detailed MC simulation, unrolled





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## Tumor Monitoring DL model

- Matlab pipe-line for segmentation of images
- Use of Convolutional Neural Network model with a Residual Unet Architecture (ResNet), widely used for segmentation

Test metrics: accuracy and sensitivity  $Accuracy = \frac{TP}{TP + FP}$ 

Sensiti*vity* = 
$$\frac{TP}{TP + FN}$$



#### **Resnet U-net architecture**

Property	Value
Layers	$206 \times 1$ Layer
Connections	$227 \times 2$ table
InputNames	$1 \times 1$ cell
OutputNames	$1 \times 1$ cell



## Model performance performance

#### Normalized back projections





**Case 1: Spheric** source in Air

in Tissue (T/N=2)







	Accuracy	Sensitivi	
case 1	79.56%	99.87%	
case 2	4.83%	100%	
case 3	19.68%	100%	
case 4	3.81%	100%	





#### **Case 2: Spheric source**

**Case 3 Spheric source** in Tissue (T/N=5)

Case 4: 5 point-like source in air







## List-mode MLEM with single-view camera



Poor localization of the source in the z direction with single-view camera, although singleview reconstructions could be integrated with multi-view using image fusion techniques





Δx

### Jataset

- reconstructions
- For each of the 71 original images, 4 roto-translations of the tumor source were considered (71x5) images)
- (71x5x42 = 14910 images)
- (2520 images)





Starting from 20 different tumor source geometries, 71 original 3D images were obtained considering different T:N ratios (3:1, 4:1, 5:1, ∞:1). Input: 10th iteration MLEM reconstructions, output: 60th iteration

For each of the images, 41 images were obtained by adding four different levels of white Gaussian noise

Distributed 70:10:20 among the training set (11130 images), validation set (1260 images) and test set



## Training phase and evaluation

- Evaluation:  $NMSE = \frac{\|f^* \hat{f}\|_2^2}{\|f^*\|_2^2}$  PSNR = 1

Network	$n_{te}$	Best epoch	Tr. NMSE	Val. NMSE
U-Net	56	39	0.03396	0.02865
Dual frame U-Net	53	50	0.03280	0.02571
Tight frame U-Net	52	48	0.01102	0.01113





#### Networks were trained using ADAM algorithm with learning rate 0.001 and NMSE loss function

$$10 \log_{10} \left( \frac{\|f^*\|_{\infty}^2}{MSE} \right) \qquad SSIM = \frac{(2\mu_{\hat{f}}\mu_{f^*} + c_1)(2\sigma_{\hat{f}f^*} + c_2)}{(\mu_{\hat{f}}^2 + \mu_{f^*}^2 + c_1)(\sigma_{\hat{f}}^2 + \sigma_{f^*}^2 + c_2)}$$

Prediction time:  $\approx$ 4-6 min (BNCT treatment duration:  $\approx$ 30-90 min, MLEM algorithm:  $\approx$ 24-36 min) min