

Based on arXiv:2411.xxxxx

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Sub-GeV Boosted Dark Matter by Blazars

Jacopo Nava


Dark Matter and Cosmic Rays

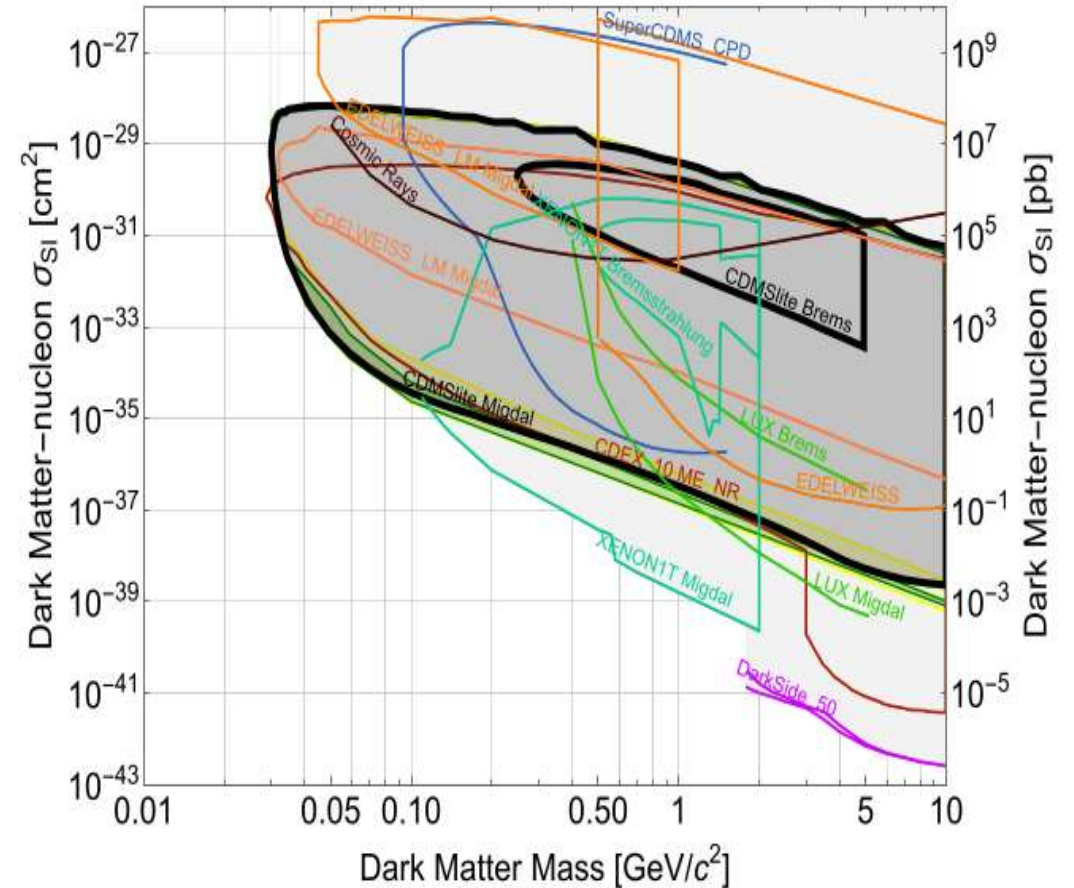
Dark Matter and Cosmic Rays, Naples, 11-12 November 2024



Direct Detection of Sub-GeV Dark Matter?

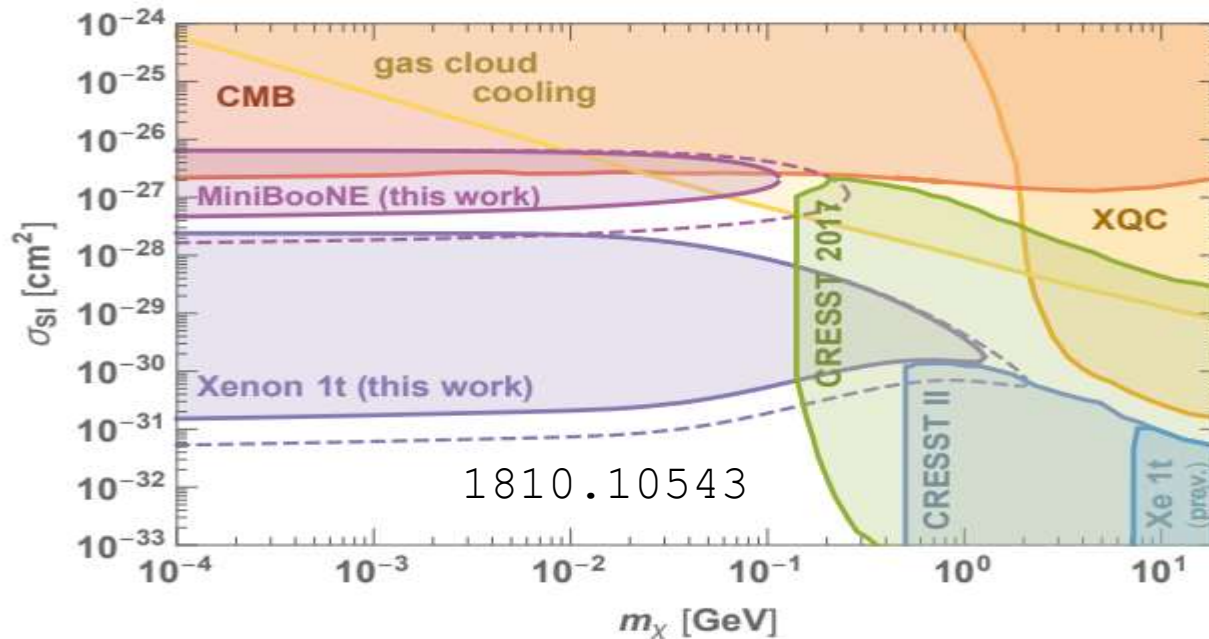
$$E_{\text{NR}} = \frac{q^2}{2m_N} \sim 1 \text{ eV} \left(\frac{m_{\text{DM}}}{100 \text{ MeV}} \right)^2 \left(\frac{28 \text{ GeV}}{m_N} \right)$$

- Main Motivation: WIMP paradigm in tension  Explore other mass ranges
- Challenging due to very low recoil energy to nuclei
- Experimental effort: lower the threshold (e.g. Migdal effect)
- Theoretical effort: look for new DM signatures



Dark Matter Upscattered by Cosmic Rays

- Basic Idea: Bringmann Pospelov 1810.10543, Ema, Sala, Sato 1811.00520
- **High-velocity DM** component unavoidably generated by **Cosmic-ray up-scatterings**
- Flux of relativistic DM particles arriving at Earth \Rightarrow sub-GeV DM Detectable at Xenon, Super-K



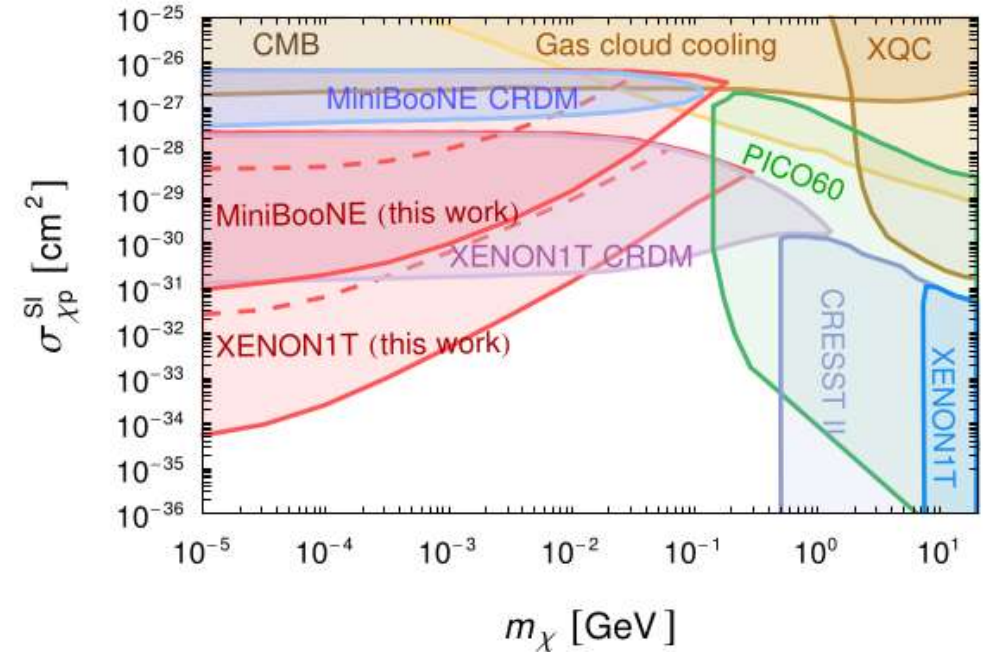
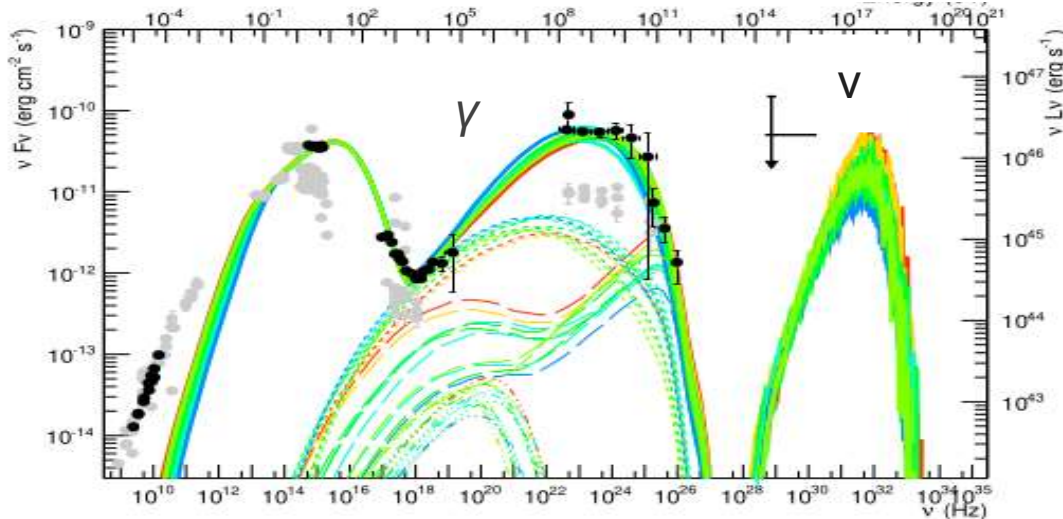
- Solar Upscattering (Pospelov Pradler Ritz+ 1708.03642)
- Atmospheric Showers (Alvey+ 1905.05776)
- Blazars (Wang Granelli Ullio 2111.13644)

Blazars as Giant Particle Accelerators

- Framework: Blazar Jet model, focus on TXS 0506+056
- Lepto-Hadronic model for the SED
- Isotropic Power-Law distribution for protons in the Blob frame

$$\frac{d\Phi_\chi}{dT_\chi} = \frac{\Sigma_{\text{DM}}^{\text{tot}}}{2\pi m_\chi d_L^2} \sum_{j=e,p} \tilde{\sigma}_{\chi j} \int_0^{2\pi} d\phi_s \int_{T_j^{\text{min}}(T_\chi, \phi_s)}^{T_j^{\text{max}}(T_\chi, \phi_s)} \frac{dT_j}{T_\chi^{\text{max}}(T_j)} \frac{d\Gamma_j}{dT_j d\Omega}$$

$$\frac{d\Gamma'_j}{dE'_j d\Omega'} = \frac{1}{4\pi} c_j \left(\frac{E'_j}{m_j} \right)^{-\alpha_j}$$



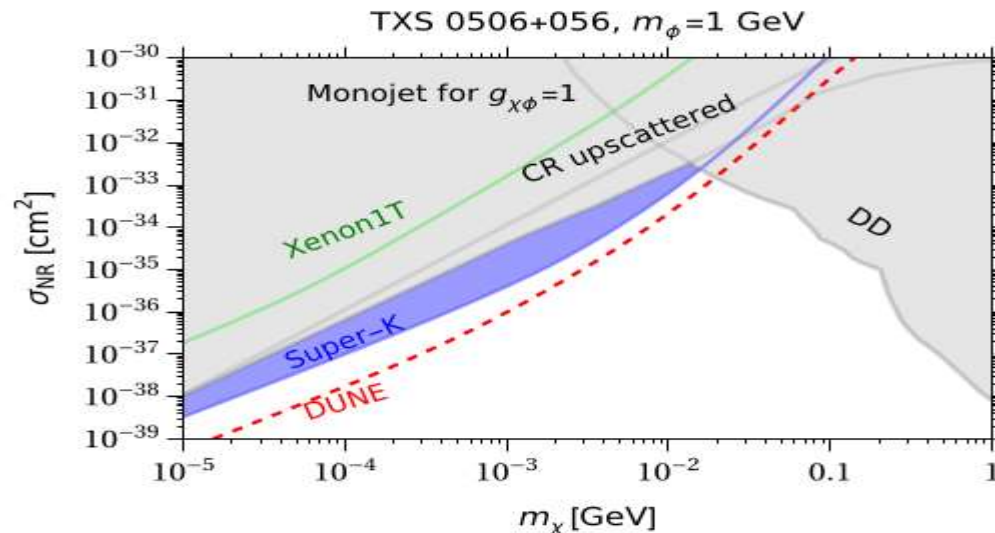
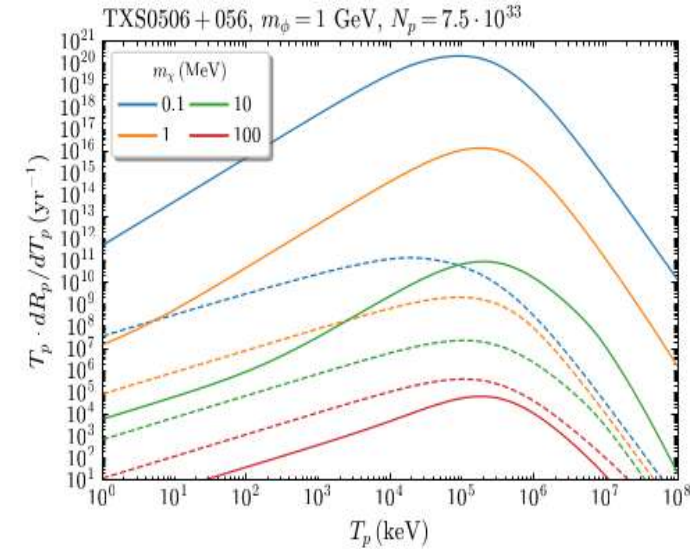
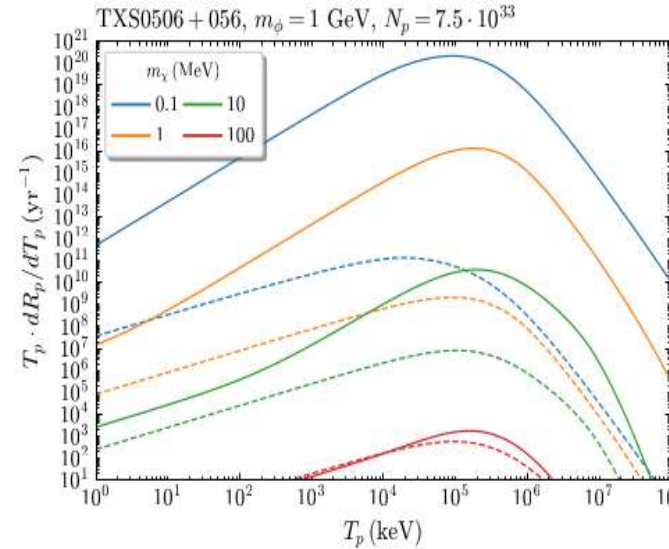
TXS 0506 + 056

Wang, Granelli, Ullio:2111.13644

Blazar Boosted Dark Matter Reloaded

$$\frac{dR_N}{dT_N} = \int_{T_\chi^{\min}(T_N)}^{+\infty} \frac{dT_\chi}{T_N^{\max}(T_\chi)} \frac{d\sigma}{dT_N} \frac{d\Phi_\chi}{dT_\chi}$$

- Use realistic models: (pseudo)-scalar, (pseudo)-vector
- We implement Deep inelastic Scatterings
- Look at Neutrino experiments: Super-K, DUNE



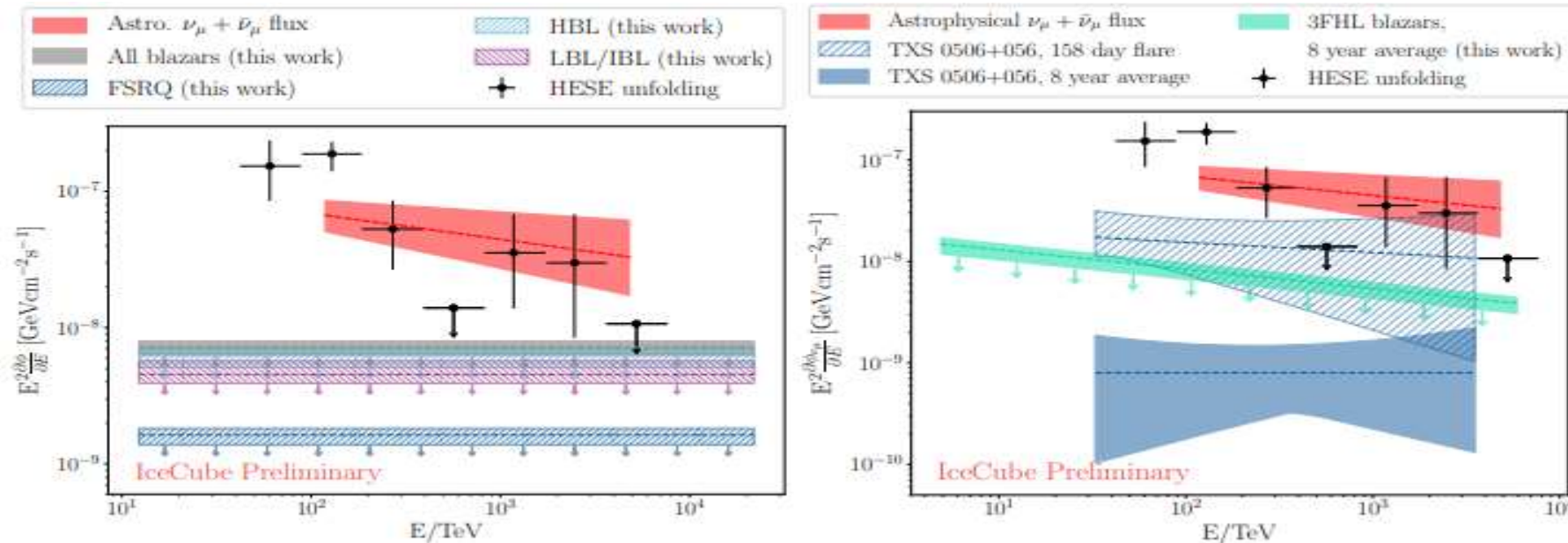
- DIS is only marginally relevant for large DM masses
- Can we find other messengers?

Neutrinos unveil Dark Matter

$\chi + p \rightarrow \chi + X \rightarrow \chi + \text{hadronic showers} + \gamma\text{-rays} + \text{neutrinos}.$

- Idea proposed in 2008.12137, Guo+Al with Scatterings in Milky Way
- Why look at **neutrinos** could be promising? **BSM ONLY** in production, **SM** detection
- **MadGraph + Pythia** to compute **neutrino flux** (Compare with IceCube and Super-K?)

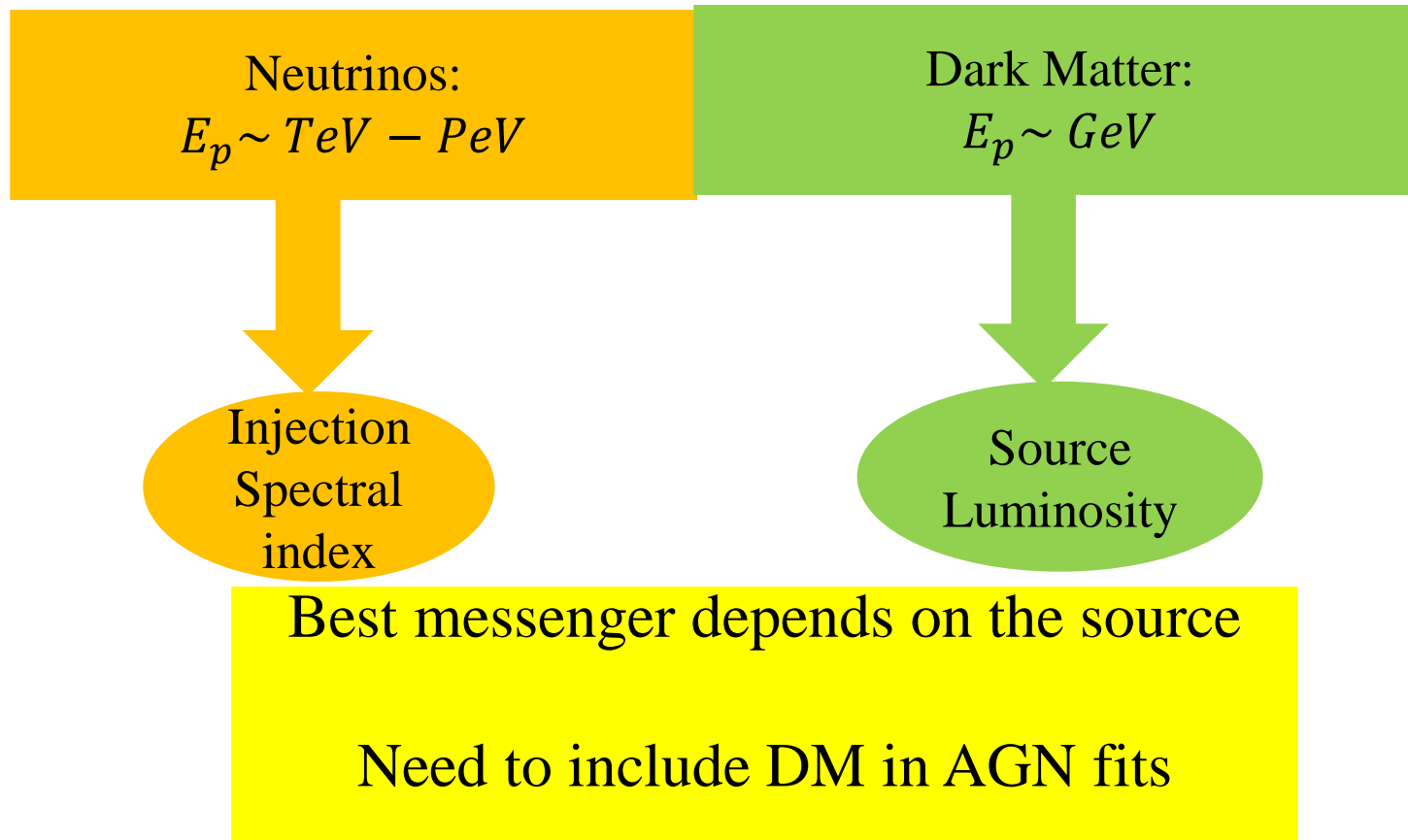
$$\frac{d\phi}{dE_\nu} = \frac{\Sigma_{DM}^{\text{tot}}}{2\pi m_x d_L^2} \int d\Omega \int \frac{d\Gamma_p}{dT_p d\Omega} \frac{dN_\nu(\Omega)}{dE_\nu} \sigma_{\text{inel}}$$



Compare with
**TXS + blazar
 stacking
 analysis of
 Icecube, e.g.
 1908.08458**

Upscattered DM vs Neutrinos

- Can we set competitive bounds on **DM-nucleon cross section** with **neutrinos**?
 - Strong dependence on the **proton spectral index**
 - Which **population of protons** produce the dominant signal?



Conclusions and Prospects

- We highlight the importance of analyzing **realistic Dark Matter models** (Bounds are model-dependent)
- **Inelastic interactions** cannot be neglected if we want to explore signatures at IceCube
- **Neutrinos** give more stringent constraints than up-scattered DM: **BSM only in production**
- Can we find more **promising environments/messengers** to improve further?

Thank you for your attention!

Backup Slides

Parameters of the Lepto-Hadronic Model

(Lepto-)hadronic model parameters		
Parameter	TXS	BL Lacertae
z	0.337	0.069
d_L (Mpc)	1835.4	322.7
$M_{BH}(M_{\odot})$	3.09×10^8	8.65×10^7
\mathcal{D}	40	15
Γ_B	20	15
$\theta_{LOS}(\circ)$	0	3.83
α_p	2	2.4
γ'_{\min_p}	1	1
γ'_{\max_p}	5.5×10^7	1.9×10^9
L_p (erg/s)	2.55×10^{48}	9.8×10^{48}
c_p ($s^{-1}sr^{-1}GeV^{-1}$)	2.54×10^{47}	1.24×10^{49}

Dark Matter profile around the Black Hole

$$\int_{4R_S}^{10^5 R_S} 4\pi r^2 \rho'(r) dr \simeq M_{\text{BH}}$$

$$\Sigma_{\text{DM}}(r) \equiv \int_{r_{\text{min}}}^r \rho_{\text{DM}}(r') dr'$$

