



#### Jet-like Near-side Peak Shapes in Pb-Pb Collisions at $\sqrt{s_{_{NN}}}$ =2.76 TeV with ALICE

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#### on behalf of the ALICE Collaboration



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## Outline

- Motivation
- Analysis Details
- Results and Comparison to Monte Carlo Simulations
- Conclusions

# Motivation (I)

- In central Pb-Pb collisions at the LHC  $(\sqrt{s_{NN}}=2.76 \text{ TeV})$  evidence for strong medium induced partonic energy loss found in several observables:
  - Inclusive hadron  $R_{AA}(p_T)$
  - Away-side conditional yield  $I_{AA}$
  - $\sim$  Jet  $R_{AA}(E_{T})$
  - $\, {}^{\, \prime}\,$  jet-jet and  $\gamma$ -jet energy imbalance
  - · ...
- Analysis of high-E<sub>T</sub> jets (ATLAS, CMS) shows
  - Remnant jet looks like unquenched jet
    - (unmodified fragmentation)
  - Radiated energy: low- $p_{T}$  particles at large distance to jet axis.





## Motivation (II)



Flowing medium: Anisotropic shape

• N. Armesto, C. Salgado, U. Wiedemann: *Measuring the Collective Flow with Jets* 

[PRL 93,242301 (2004)]

- Broadening in a static medium
- Longitudinal flow results in deformation of the conical jet shape
  - → Different  $\Delta \phi$  and  $\Delta \eta$  widths (eccentric jets)

- Interest to study modifications of the jet shape
  - Increase of width (radiation)
  - Increase of eccentricity (longitudinal flow)
- In particular at low parton  $p_{\rm T}$  where quenching effects are strongest.







PRL 93,242301 (2004)



## **Di-Hadron Correlations**

- Study jet properties in heavy ion collisions in a transverse momentum range where event-by-event jet reconstruction over the fluctuations of the underlying event is not possible.
- Analyze angular correlations in azimuth  $\Delta \varphi$  and pseudo-rapidity  $\Delta \eta$  differences between a trigger particle (trig) and all associated (assoc) particles satisfying specific cuts on  $p_{T,Trig}$  and  $p_{T,Tassoc}$  are studied and quantified by the **per trigger**



#### Subtraction of $\Delta\eta-independent$ Correlations

a) Correlation

ALICE



- Nearside peak centered at ( $\Delta \phi = 0, \Delta \eta = 0$ )

-  $\Delta\eta$  independent (long range) correlations (mainly flow near-side + flow+jet away-side) plus uncorrelated background.

- Signal Extraction: Subtract side bands 1 <  $\Delta\eta$  < 1.6
- Study near-side peak (away side peak is removed by this procedure)



b) η-gap subtracted



## **Event and Track Selection**

- Data Sets
  - Pb-Pb at  $\sqrt{s_{_{NN}}}$ =2.76 TeV
    - 15 M events from 2010 data taking period in 0-90% centrality class
  - pp reference at  $\sqrt{s}$  = 2.76 TeV
    - 55 M events from 2011 low energy run
- Centrality selection
  - Using VZERO ( $N_{ch}$  with scintillators in 2.8 <  $\eta$  < 5.1 and -3.7<  $\eta$  < -1.7)
- Tracking
  - TPC tracks constrained to the primary vertex
    - optimal azimuth ( $\varphi$ ) acceptance = uniformity for angular correlations
    - Minimize two-track cluster merging effects in the TPC
      - -Cut in closest approach inside the TPC
    - |*η*| < 0.9
    - •
- Two step correction procedure
  - 2-track acceptance correction using mixed events  $\Rightarrow$  Corrected shape
  - Single particle efficiency and contamination correction  $\Rightarrow$  Corrected per trigger particle yields

# **ALICE TWO-Track Acceptance Correction**



- Event Mixing performed in bins of
  - Long. vertex position (z,  $\Delta z = 2$  cm)
  - Centrality: 1% steps from 0-5%; then 5-10% followed by 10% steps.
  - For each *z*-bin calculate the ratio:

$$\frac{d^2 N^{raw}}{d \Delta \varphi d \Delta \eta} (\Delta \varphi, \Delta \eta, z) = \frac{1}{N_{trig}(z)} \frac{N_{pair}^{same}(\Delta \varphi, \Delta \eta, z)}{N_{pair}^{mixed}(\Delta \varphi, \Delta \eta, z)} \beta$$

- $\beta$  chosen such that correction interpolated to  $\Delta \phi = \Delta \eta = 0$  is 1.
- Calculate weighted average of ratios

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$$\frac{d^2 N^{raw}}{d \Delta \varphi d \Delta \eta} (\Delta \varphi, \Delta \eta) = \frac{1}{\sum_z N_{trig}(z)} \sum_z N_{trig}(z) \frac{d^2 N^{raw}}{d \Delta \varphi d \Delta \eta} (\Delta \varphi, \Delta \eta, z)$$



### Single Particle Corrections



$$N_{pair}^{corrected}(\Delta\eta, \Delta\varphi, p_{T, trig}, p_{T, assoc}, C) = N_{pair}^{raw}(\Delta\eta, \Delta\varphi, p_{T, trig}, p_{T, assoc}, C) \cdot C_{trckeff}(p_{T, assoc}, C) \cdot C_{trckeff}(p_{T, trig}, C) \\ C_{cont}(p_{T, assoc}) \cdot C_{cont}(p_{T, trig}) C_{correlated cont}(p_{T, assoc}, p_{T, trig}, \Delta\eta, \Delta\varphi) \\ N_{trig}^{corrected}(p_{T, trig}, C) = N_{trig}^{raw}(p_{T, trig}, C) \cdot C_{trckeff}(p_{T, trig}) \cdot C_{cont}(p_{T, trig})$$



#### Results

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# **ALICE** Characterization of the near-side peak

- Quantify peak shape using *rms* ( $\sigma_{\Delta q}$ ,  $\sigma_{\Delta \eta}$ ) and Excess Kurtosis ( $K_{\Delta q}$ ,  $K_{\Delta \eta}$ ) =  $\mu_4 / \mu_2^2$ -3 ( $\mu_n n^{th}$  moment) "peakedness" (Laplace: *K*=3, Gaussian: 0, semi-circle: -1, uniform -1.2)
- rms from projections or fits
- Near-side peak fitted with 2 x 2D Gaussians

 $F_1(\Delta \varphi, \Delta \eta) = N[\alpha Gauss(0, 0, \sigma^1_{\Delta \varphi}, \sigma^1_{\Delta \eta}; \Delta \varphi, \Delta \eta) + (1 - \alpha) Gauss(0, 0, \sigma^2_{\Delta \varphi}, \sigma^2_{\Delta \eta}; \Delta \varphi, \Delta \eta)]$ 





 $\sigma_{\Delta\phi}, \sigma_{\Delta\eta}$  from Fit



- No centrality dependence of  $\sigma_{_{\phi}}$ 
  - $p_{T,assoc}$  dependence governed by  $j_T \sim p_{T,assoc} \sigma_{\phi} = \text{const.}$
  - Same for  $\sigma_{\eta}$  in peripheral collisions
- Significant increase of  $\sigma_n$  towards central events
  - For the lowest  $p_{T}$  bin, eccentricity  $(\sigma_{\eta} \sigma_{\phi}) / (\sigma_{\eta} + \sigma_{\phi})$  increases from 0 to 0.2
- Smooth continuation from peripheral to pp



#### **Excess Kurtosis**



- Obtained from projections within  $|\Delta \phi|$ ,  $|\Delta \eta| < 0.8$
- Clear  $p_{T}$  dependence
  - Kurtosis increases with  $p_{_{\rm T}}$
- Centrality dependence
  - Kurtosis decreases going from pp to peripheral, to central events



## Comparison with AMPT MC

- AMPT (A MultiPhase Transport Code)
  - Initial conditions simulated using HIJING
  - Parton scattering
  - Hadronization: Lund model + coalescence
  - Hadron scattering
- AMPT describes the main features of the near-side shape evolution observed in data





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## Conclusions

- ALICE has studies the centrality and  $p_{T}$  evolution of near-side peak shapes in Pb-Pb collisions at  $\sqrt{s_{NN}}$ =2.76 TeV
- The shapes have been quantified by their rms and Kurtosis in the  $\Delta \phi$  and  $\Delta \eta$  directions.
  - We observe (within errors) no centrality dependence of  $\sigma_{_0}$
  - Significant increase of  $\sigma_n$  towards central events
    - Eccentricity reaches 0.2 for the lowest  $p_{T}$  bin studied
    - Interaction of jets with longitudinal flow ?
  - Kurtosis ("peakedness") monotonically decreases with increasing centrality of the collisions.



### ALICE





# Systematic Uncertainties

- Sources
  - $\eta$  range of flow subtraction
  - Track selection
  - Vertex range
  - Influence of resonances and conversions
  - Two-track effect
  - Wing (increase at large  $\Delta \eta$ ) correction
  - Two different fit procedures
- All sources have been evaluated
  - For the parameters:  $\sigma_{\eta}/\sigma_{\phi}$  (fit),  $\sigma_{\eta}/\sigma_{\phi}$ ,  $K_{\eta}/K_{\phi}$
  - For the correlation functions



- added directly
  - shown as
    2<sup>nd</sup> result



# Two-Track Efficiency

$$\Delta \phi^* = \Delta \phi + \arcsin \frac{z_1 e B_z r}{2p_{\mathrm{T},1}} - \arcsin \frac{z_2 e B_z r}{2p_{\mathrm{T},2}}$$

- z charge, e elementary charge, Bz magnetic field, r Radius in the TPC
- DCA of the track pair in the TPC corrected for magnetic field bending
- Minimum evaluated in the TPC volume (0.8 < r < 2.5m)</li>
- Cut on  $|\Delta \phi^*_{min}| < 0.02 \&\& |\Delta \eta| < 0.02$

– Values doubled for systematic uncertainty

• Applied consistently to same and mixed event

# Two-Track Efficiency (2)











