Open heavy flavor production via semileptonic decayed muons in Pb+Pb collisions with the ATLAS detector



Yujiao Chen on behalf of the ATLAS Collaboration



Motivation

Study the properties of QGP

 Jet quenching, pQCD framework Radioactive energy loss in medium Detector (1-x)E10-20% Calculable final ● Pb+Pb Data state medium effects

Motivation

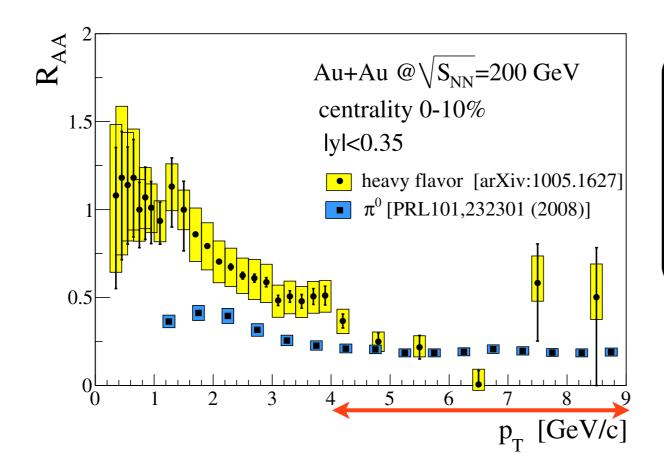
- C/B quarks much heavier, pQCD framework
- "Dead cone" effect: gluon radiation suppressed at

small angles



Dokshitzer, Khoze, Troyan, JPG 17 (1991) 1602. Dokshitzer and Kharzeev, PLB 519 (2001) 199.

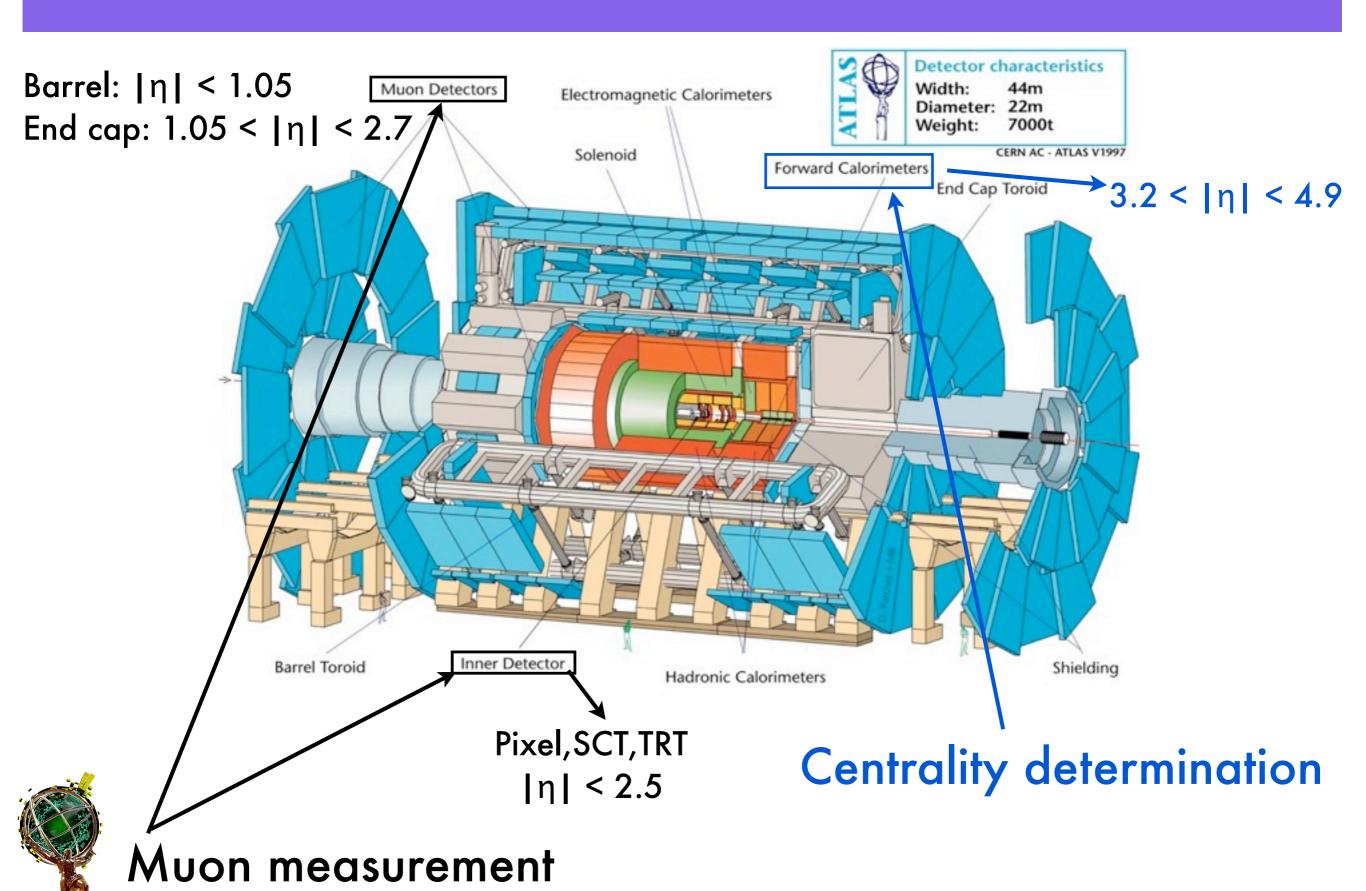
- Leptons from heavy flavor decays
 - PHENIX, STAR@RHIC with electrons



▶ Heavy flavor suppression at RHIC shows similar behavior as single hadron measurement. How about at LHC?



The ATLAS detector

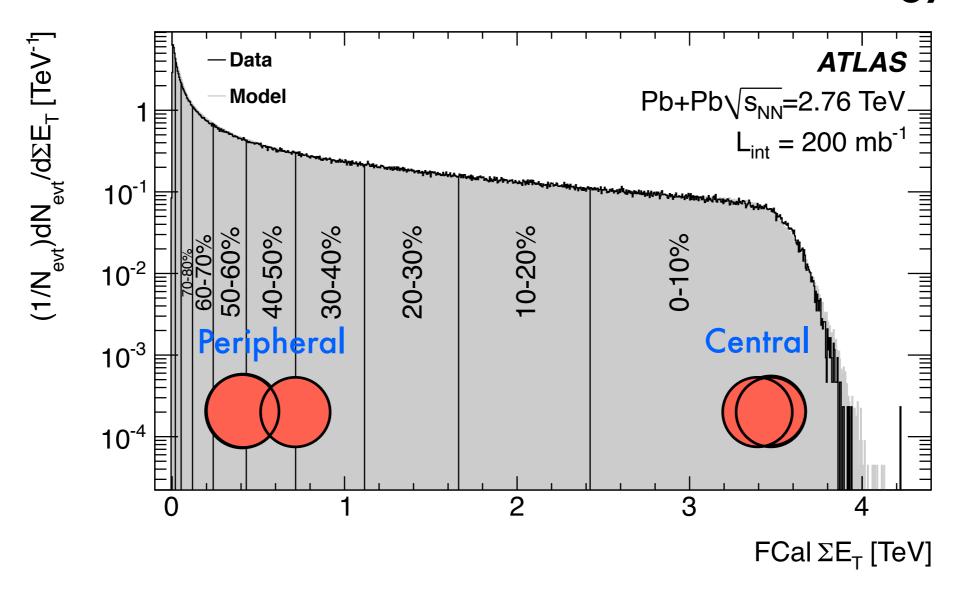


Data and MC samples

- Data, 2010 Pb+Pb collisions at 2.76 TeV, 7 μb⁻¹
- MC, Di-jet J1,J2,J3,J4,J5 overlayed with HIJING
- Event selection:
 - Good lumi block, ZDC_AND or ZDC_A_C trigger
 - Δt_{MBTS}<3 ns, a primary vertex
- 53236871 events are selected.
- MinBias sample, no trigger on muons
- Select good quality muons, $|\eta| < 1.05$ and $4 < p_T < 1.4$ GeV.
- Characterize centrality with forward calorimeter transverse energy

Centrality determination

Use forward calorimeter transverse energy



Sampling fraction: 98±2%



Discriminant to separate muon source

Discriminant I: momentum balance

$$\frac{\Delta p_{loss}}{p_{ID}} = \frac{p_{ID} - p_{MS} - p_{param}(p_{MC}, \eta, \phi)}{p_{ID}}$$

• Discriminant II: scattering angle significance

$$s_i = q \frac{\Delta \phi_i}{\phi_i^{msc}}$$

$$s_i = q \frac{\Delta \phi_i}{\phi_i^{msc}}$$
 $S(k) = \frac{1}{\sqrt{n}} (\sum_{i=1}^k s_i - \sum_{j=k+1}^n s_j)$

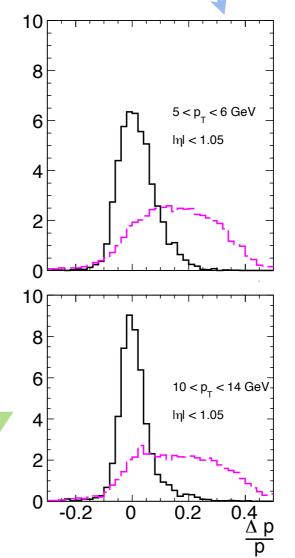
Composite discriminant

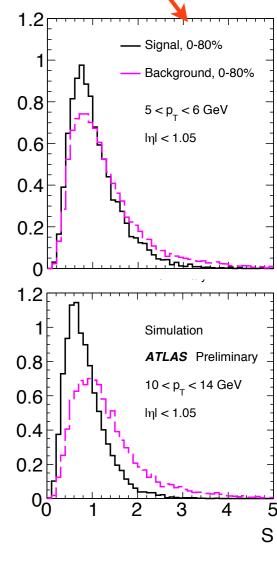
$$c(r) = \left| \frac{\Delta p_{loss}}{p_{ID}} \right| + r|S|$$

$$r = 0.07$$

рт

- Momentum balance has more discrimination power, more weight in constructing composite discriminate.
- Discrimination power increases with p_T for both discriminant.







Composite distribution

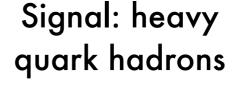
Composite discriminant

$$c(r) = \left| \frac{\Delta p_{loss}}{p_{ID}} \right| + r|S|$$

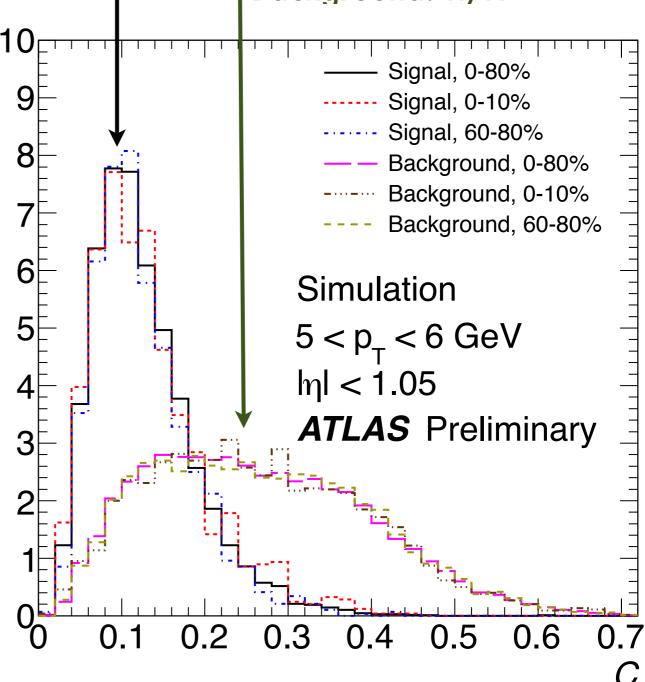
$$r = 0.07$$

▶ Very well distinguishable signal and background composite distributions. For data, template fitting technique can be used to separate them statistically.

No dependence on centrality for both signal and background composite distributions.









Template Fitting

MC templates are built from JX samples by RooFit package which uses kernel estimation method.

Data are modeled by two component templates: signal and background.

$$\frac{dP}{dC} = f_{\rm S} \frac{dP}{dC} \bigg|_{\rm S} + (1 - f_{\rm S}) \left. \frac{dP}{dC} \right|_{\rm B}$$

To account for the possible momentum scale shift and momentum resolution worsening in date, we added shift, stretch and smear parameters:

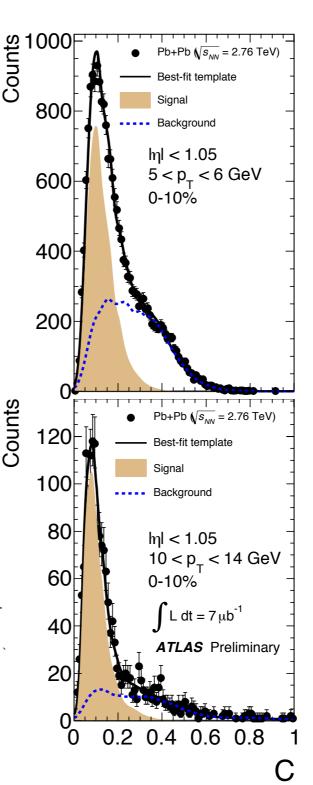
$$C' = a + \langle C \rangle + b \left(C - \langle C \rangle \right)$$

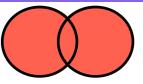
$$\frac{dP'}{dC'} \equiv \left(f_{\rm S} \left. \frac{dP}{dC'} \right|_{\rm S} + (1 - f_{\rm S}) \left. \frac{dP}{dC'} \right|_{\rm B} \right) \otimes \frac{e^{-C'^2/2\sigma^2}}{\sqrt{2\pi}\sigma}$$

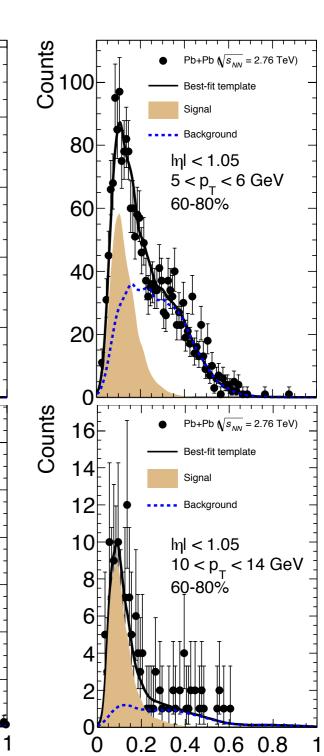


$$\begin{array}{ll} a \sim 0.02 & b \sim 0.95 - 1.05 \\ \sigma \sim 0.002 & \end{array}$$



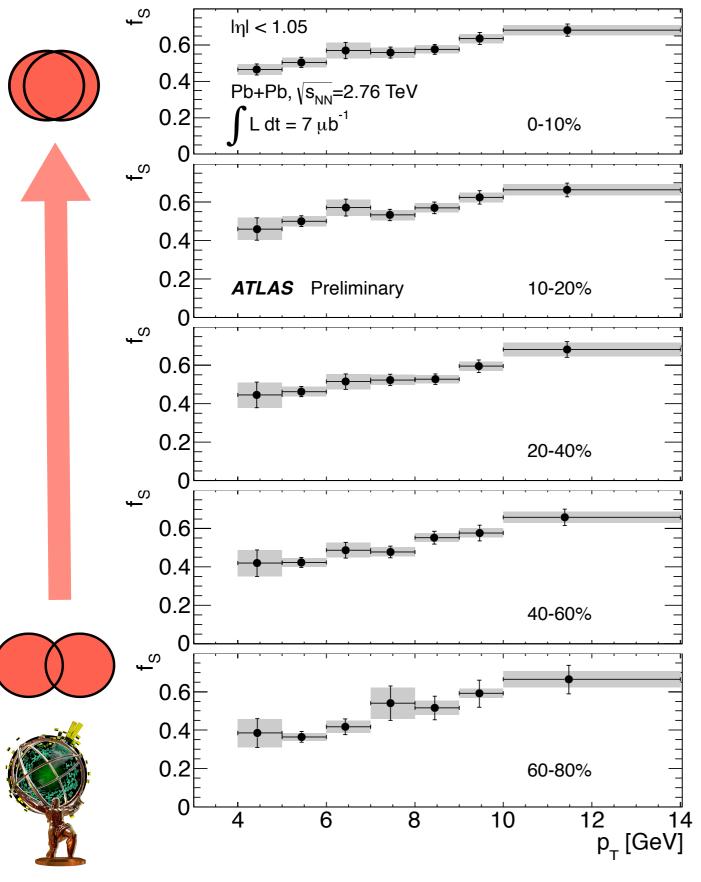






P

Signal ratio: fraction of muons from HF



Systematic errors shown as shaded areas Combined errors shown as bars

- ▶ f_S increase as a function of p_T.
- ▶ f_S increases from peripheral to central collisions, indication of heavy quarks less suppressed in central collisions.

Systematical uncertainties

- Efficiency
- Double π/K composition
- Fitting vs simple cut method
- Fitting with vs without shift,
 stretch, smear effect \

		Uncer	tainty	(%)	
p_T , centrality	dP/dC	Fit	K/π	ε^{lack}	Total
4-5, 0-10%	4	0	5	3	7
7-8, 0-10%	5	0.5	0.5	2	5.5
10 - 14, 0 - 10%	4	1	1	2	5
4-5,60-80%	18	1	5	3	19
7-8,60-80%	14	5	0.5	2	15
10 - 14, 60-80%	4	4	2	2	6



From signal ratio to R_{cp}

$$\left. R_{\rm CP}(p_{\rm T}) \right|_{\rm cent} = rac{1}{R_{
m coll}^{
m cent}} \left(rac{rac{1}{N_{
m evt}^{
m cent}} rac{N_{
m S}^{
m cent}}{arepsilon^{
m cont}}}{rac{1}{N_{
m evt}^{
m 60-80}} rac{N_{
m S}^{
m 60-80}}{arepsilon^{
m 60-80}}
ight)$$

$$R_{coll} = \frac{\langle N_{coll} \rangle}{\langle N_{coll} \rangle_{60-80\%}}$$

Centrality	R_{coll}	$\langle N_{part} \rangle$	
0-10%	56.7 ± 6.2	356.2 ± 2.5	
10-20%	34.9 ± 3.5	260.7 ± 3.6	
20-40%	16.7 ± 1.5	157.9 ± 3.9	
40-60%	4.9 ± 0.2	69.3 ± 3.5	
60-80%	1.0	22.6 ± 2.3	

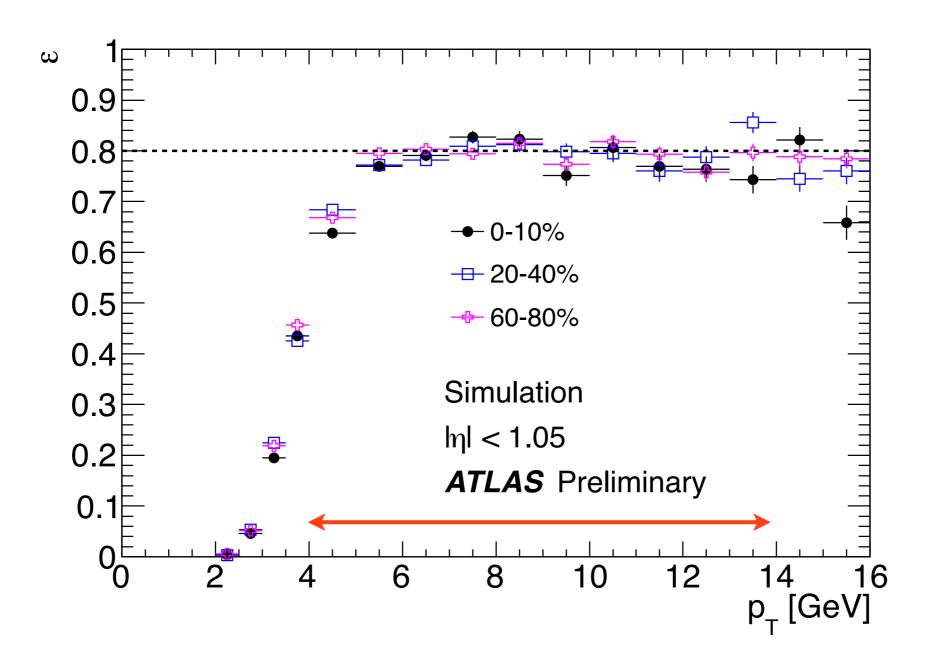
Centrality	R_{coll}	
0-10%	1.0	
10-20%	0.615 ± 0.006	
20-40%	0.294 ± 0.009	
40-60%	0.086 ± 0.006	
60-80%	0.018 ± 0.002	

60-80% as the reference

0-10% as the reference



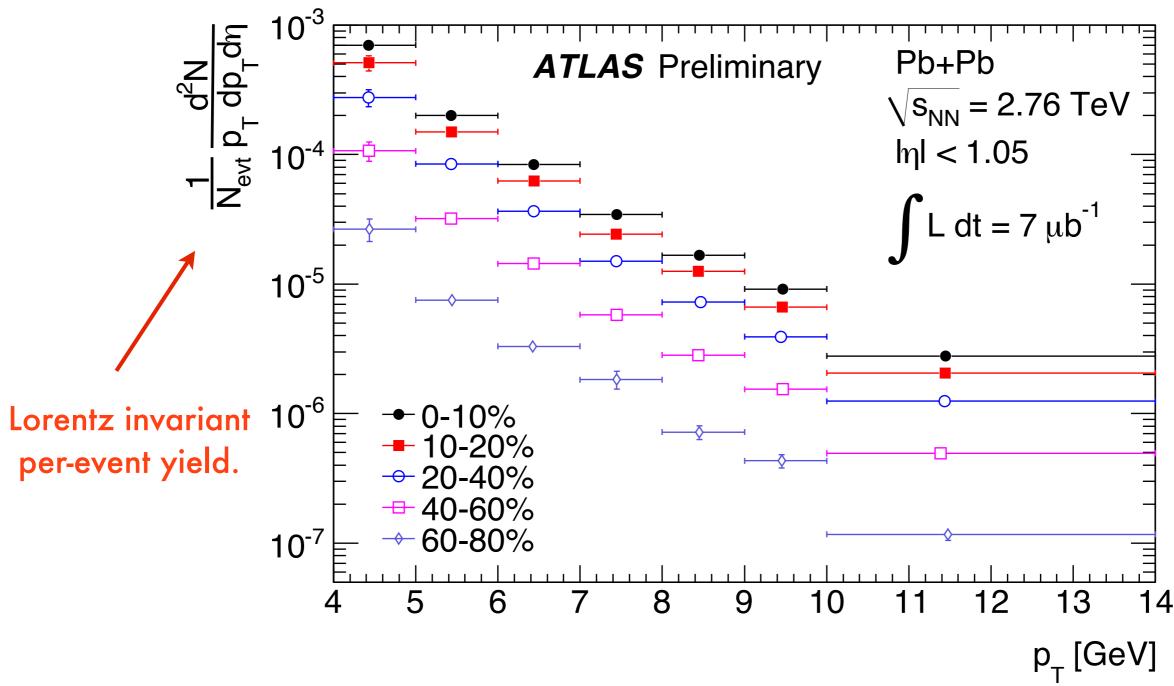
Efficiency



Reach plateau around 5 GeV @ 80% No dependence on centrality at plateau

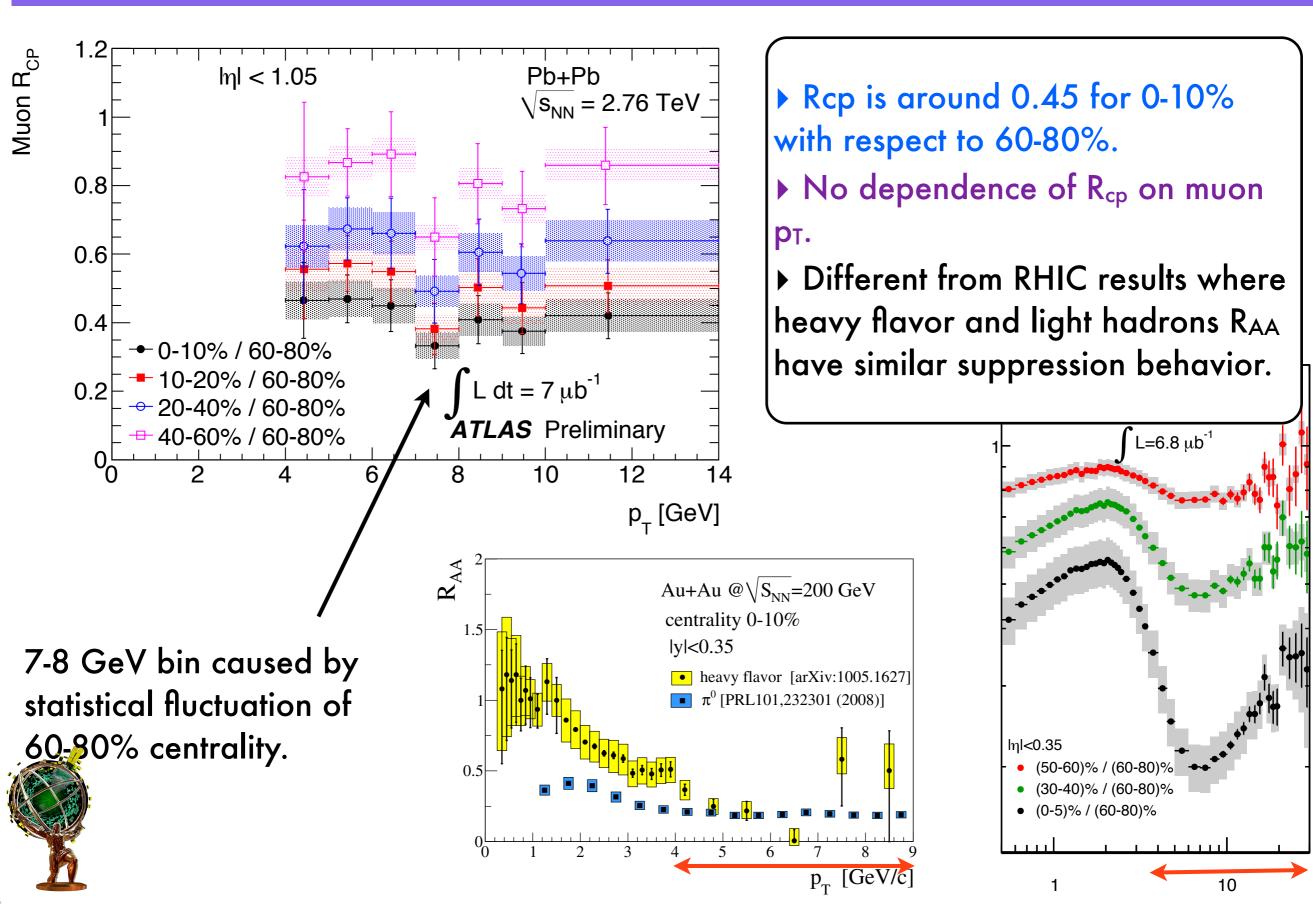


Signal muon yield



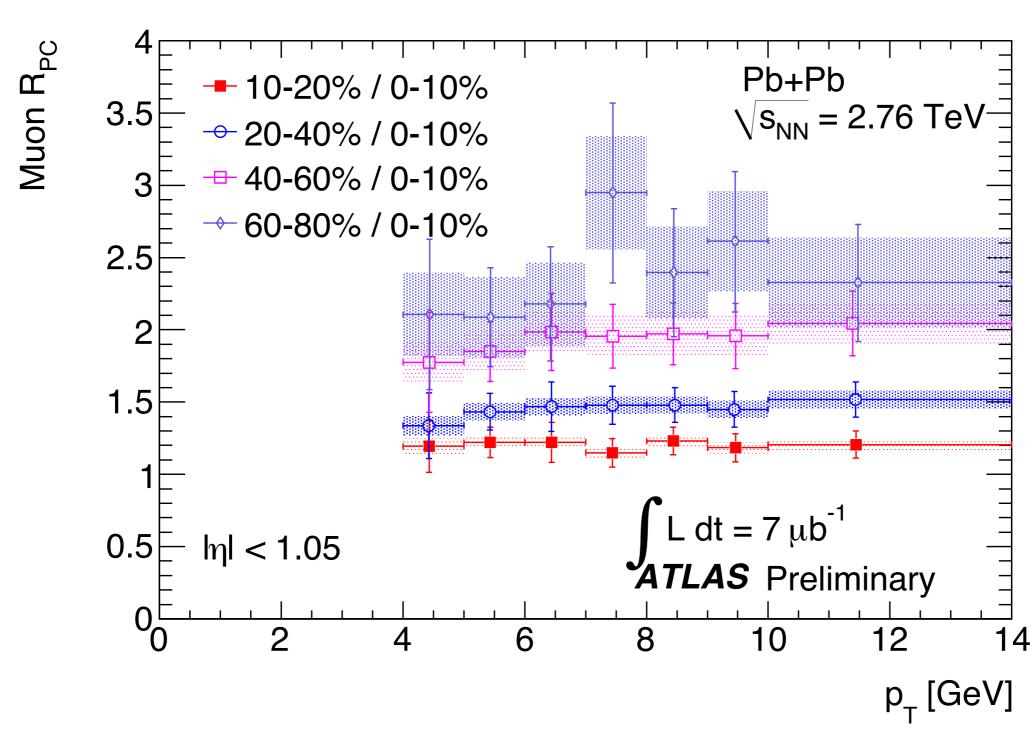


R_{cp} vs pt



R_{pc} vs pt

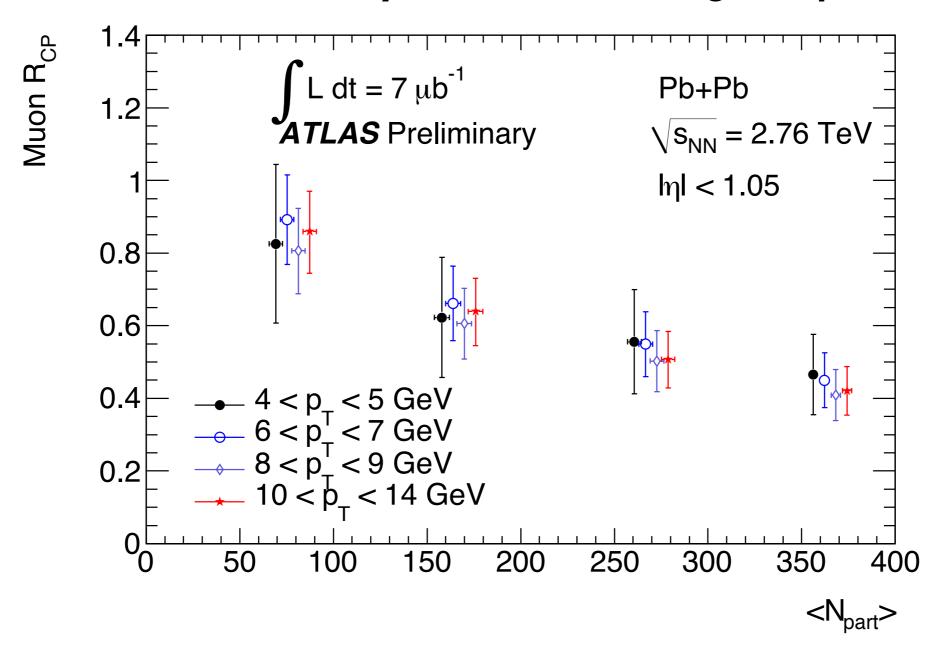
Correlated errors shown as shaded areas





R_{cp} vs <N_{part}>

x-axis shifted by 6 for each higher pt bin





- ▶ Rcp decreases smoothly from peripheral to central collisions.
- ▶ No dependence of R_{cp} on muon p_T in the range studied here.

Conclusions

- Measured muon yield and suppression from heavy quark decays for muons with $4 < p_T < 14$ GeV and $|\eta| < 1.05$ in Pb+Pb collisions.
- R_{cp} indicates a factor of about 2 suppression in the yield of 0-10% collisions compared to 60-80% collisions.
- No significant variation of R_{cp} with muon p_T is observed.
- R_{cp} vs $< N_{part} >$ shows a smooth suppression from peripheral to central collisions.
- ullet R_{cp} vs p_T shows different behavior as compared with RHIC electron results.



Backup

Backup

CMS non-prompt J/ψ

